



# Differential measurement of the common particle-emitting source using p–p and p–Λ correlations in pp collisions at 13.6 TeV with ALICE

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Anton Riedel

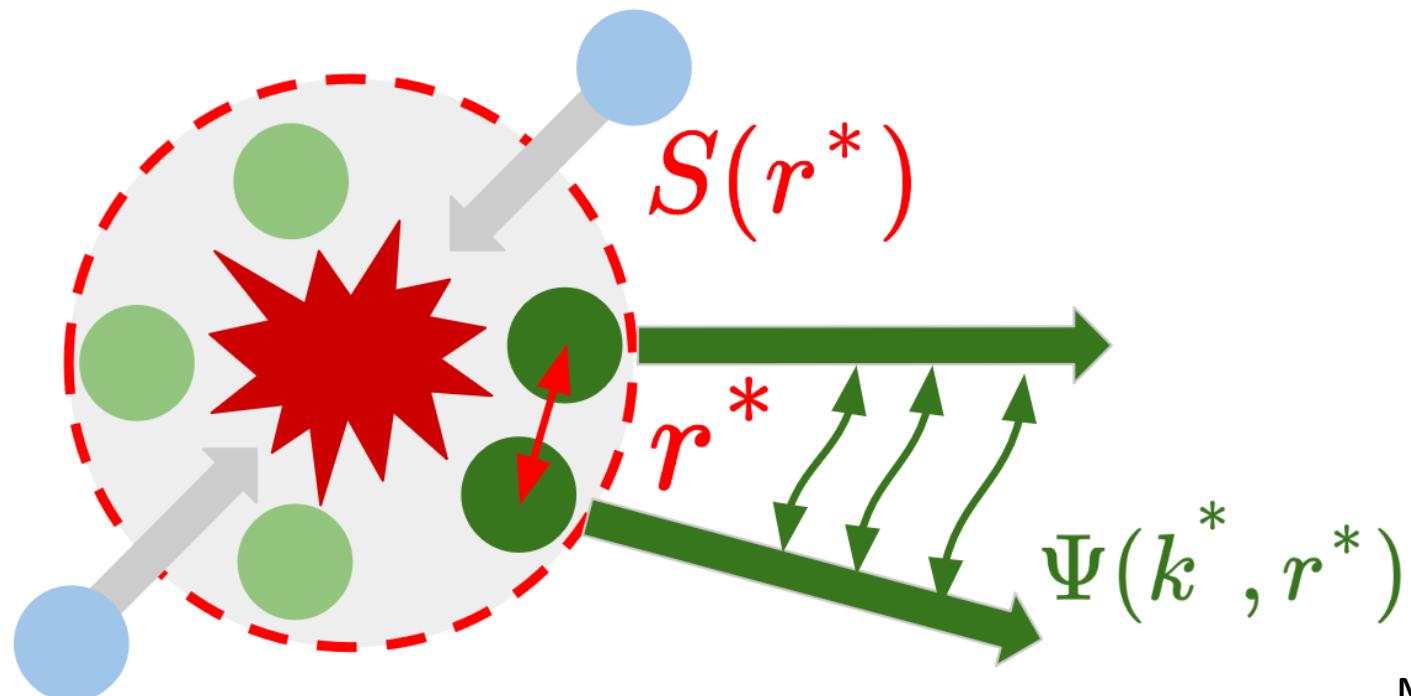
on behalf of the ALICE Collaboration

Technical University of Munich

Strange Quark Matter 2024, Strasbourg, France

# Accessing hadronic interactions with femtoscopy

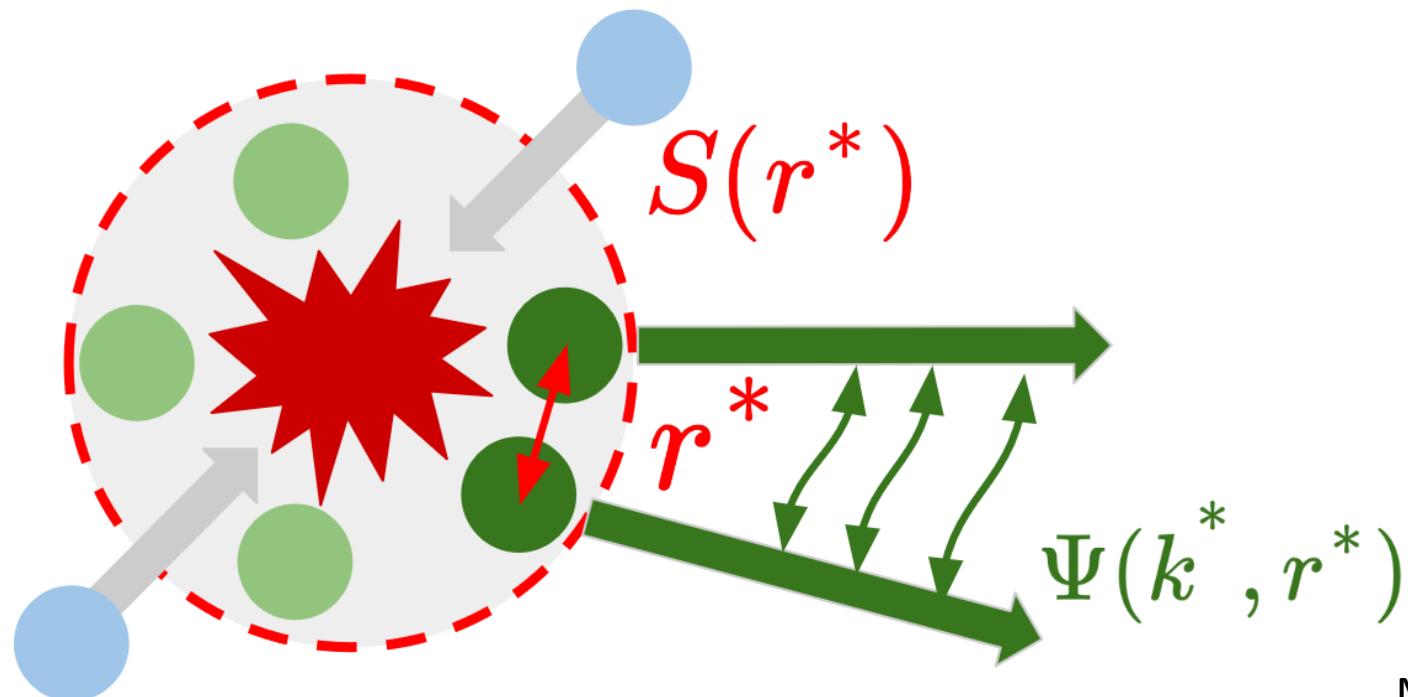
$$C(k^*) = \mathcal{N} \frac{N_{\text{SE}}(k^*)}{N_{\text{ME}}(k^*)}$$



M. A. Lisa et al., Ann.Rev.Nucl.Part.Sci.55:357-402, 2005

# Accessing hadronic interactions with femtoscopy

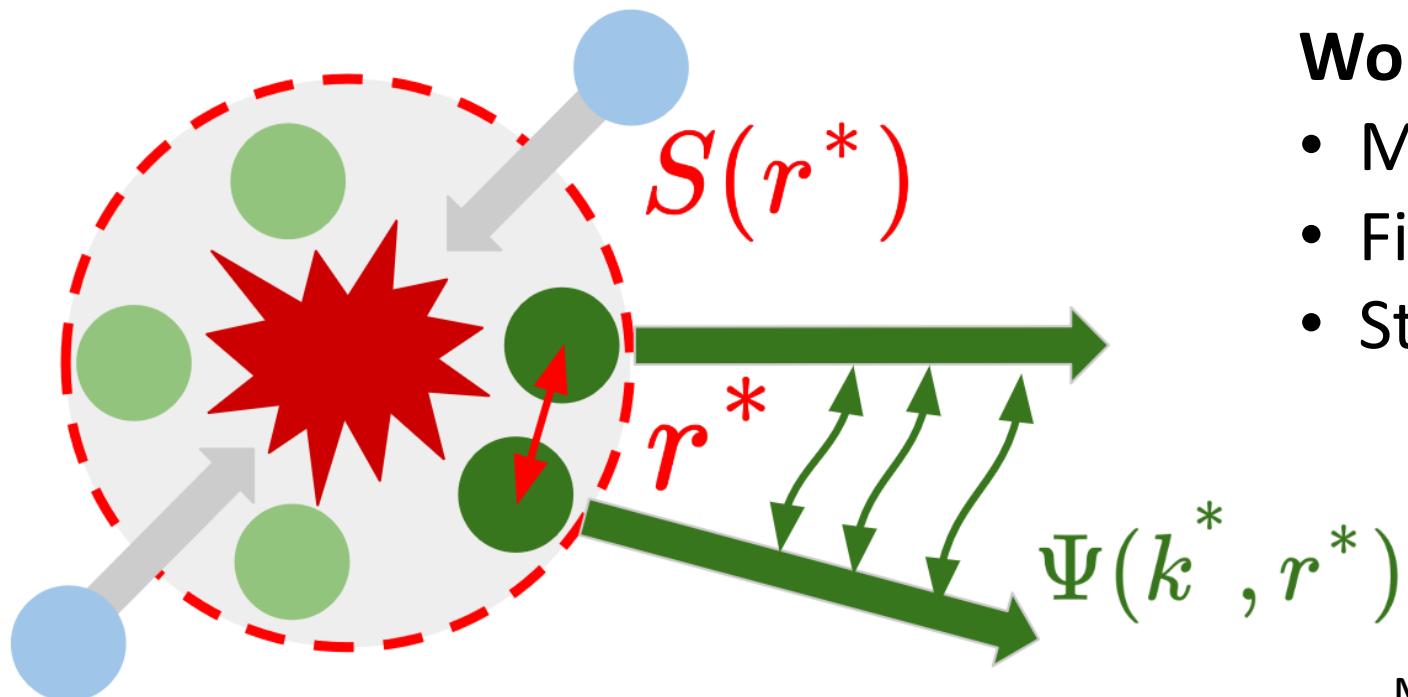
$$C(k^*) = \mathcal{N} \frac{N_{\text{SE}}(k^*)}{N_{\text{ME}}(k^*)} = \int S(r^*) |\psi(r^*, k^*)|^2 d^3r \xrightarrow{k^* \rightarrow \infty} 1$$



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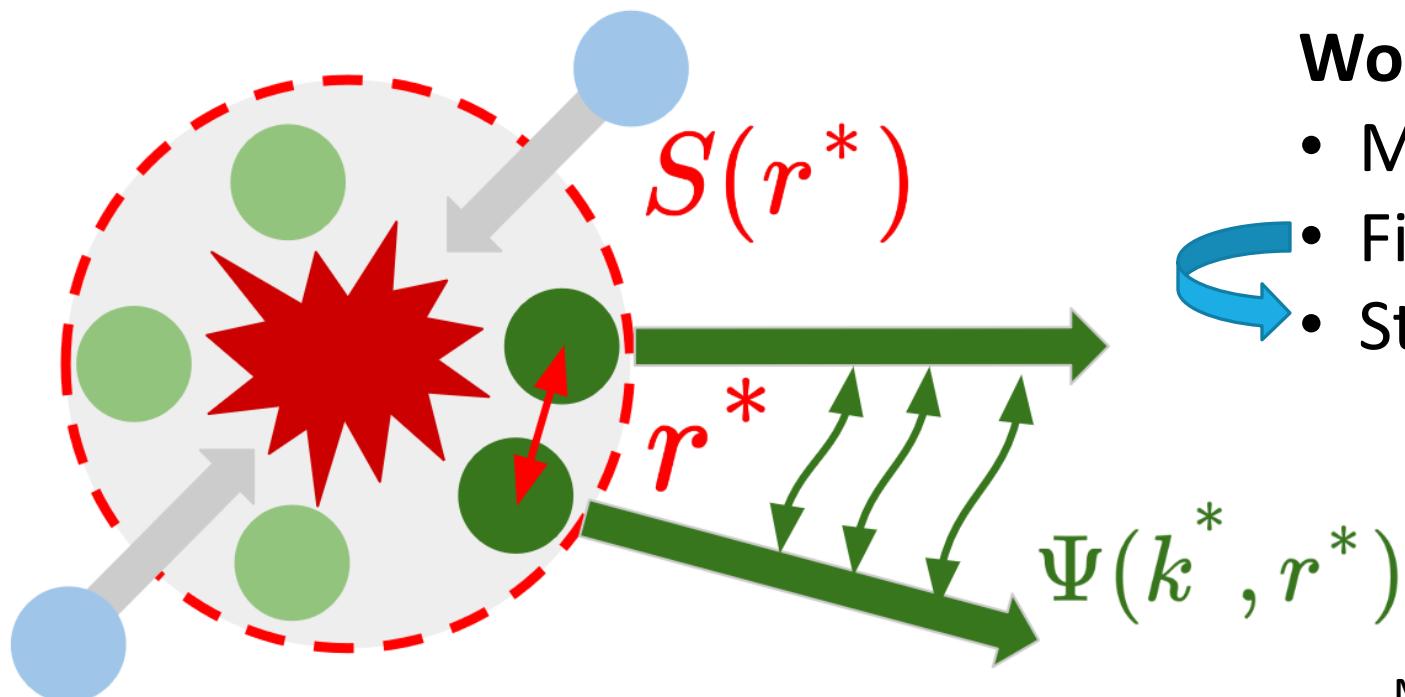
## Workflow for accessing interaction:

- Measure correlation function  $C(k^*)$
- Fix source  $S(r^*)$
- Study interaction  $\psi(r^*, k^*)$

M. A. Lisa et al., Ann.Rev.Nucl.Part.Sci.55:357-402, 2005

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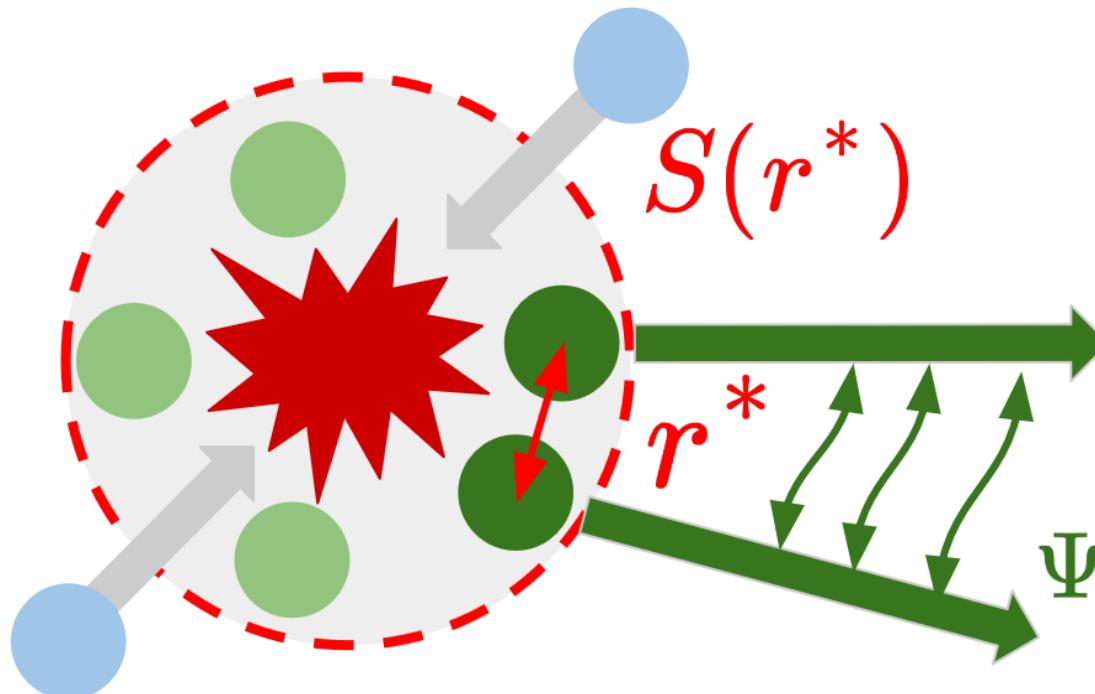
## Workflow for accessing **source**:

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## Femtoscopy @ SQM 2024:

Thomas Humanic 4 Jun, 09:10

**Neelima Agrawal 4 Jun, 18:30**

Anton Riedel 4 Jun, 17:30

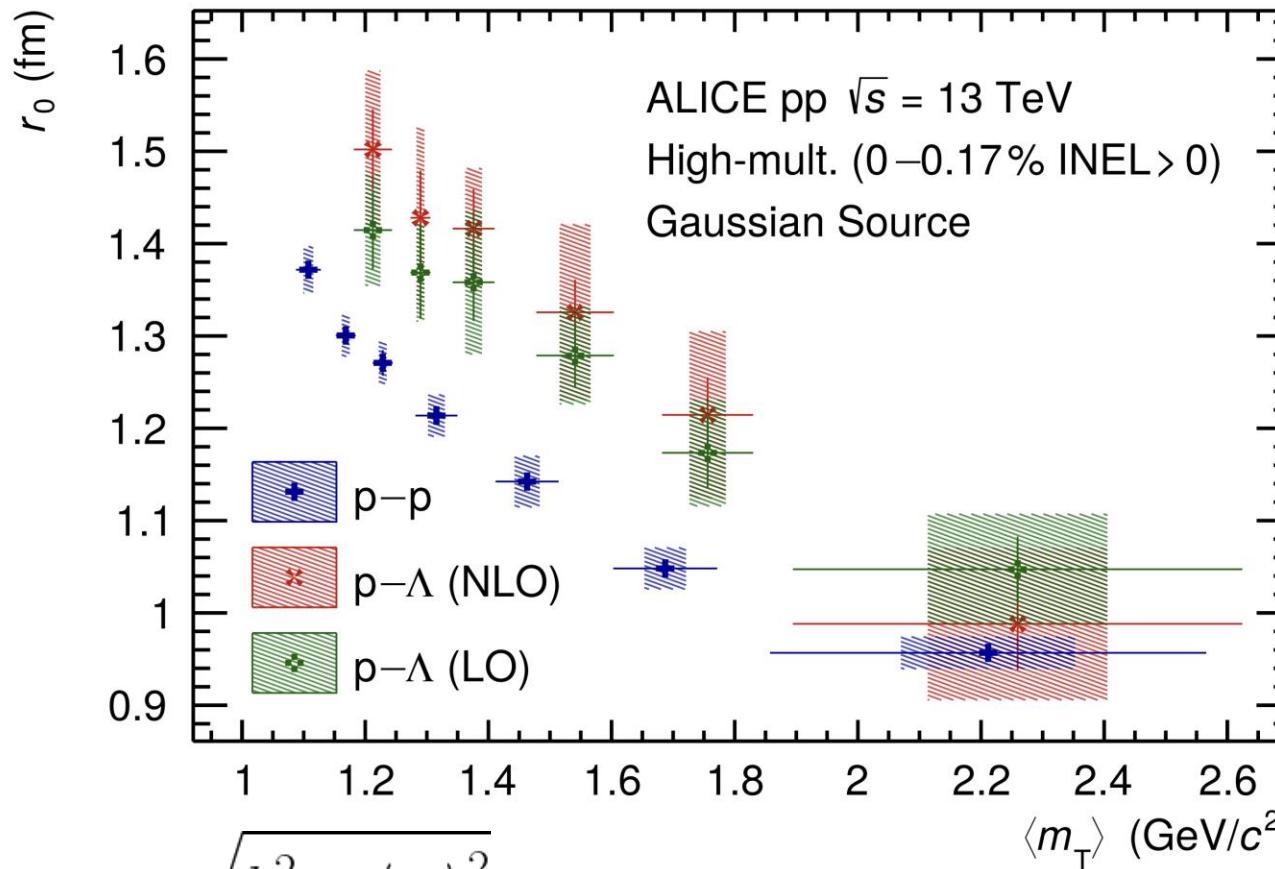
Valentina Mantovani Sarti 5 Jun, 08:30

Raffaele del Grande 6 Jun, 17:30

M. A. Lisa et al., Ann.Rev.Nucl.Part.Sci.55:357-402, 2005

# Common baryonic source in pp collisions

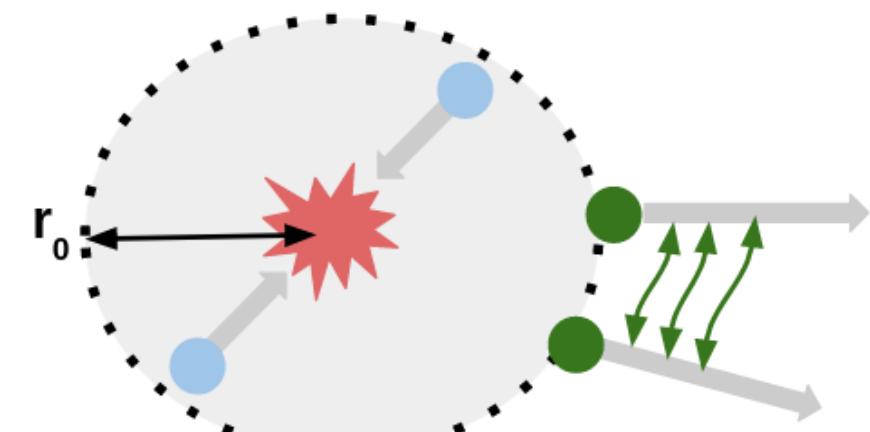
ALICE Coll. PLB 811 (2020)



$$m_T = \sqrt{k_T^2 + \langle m \rangle^2}$$

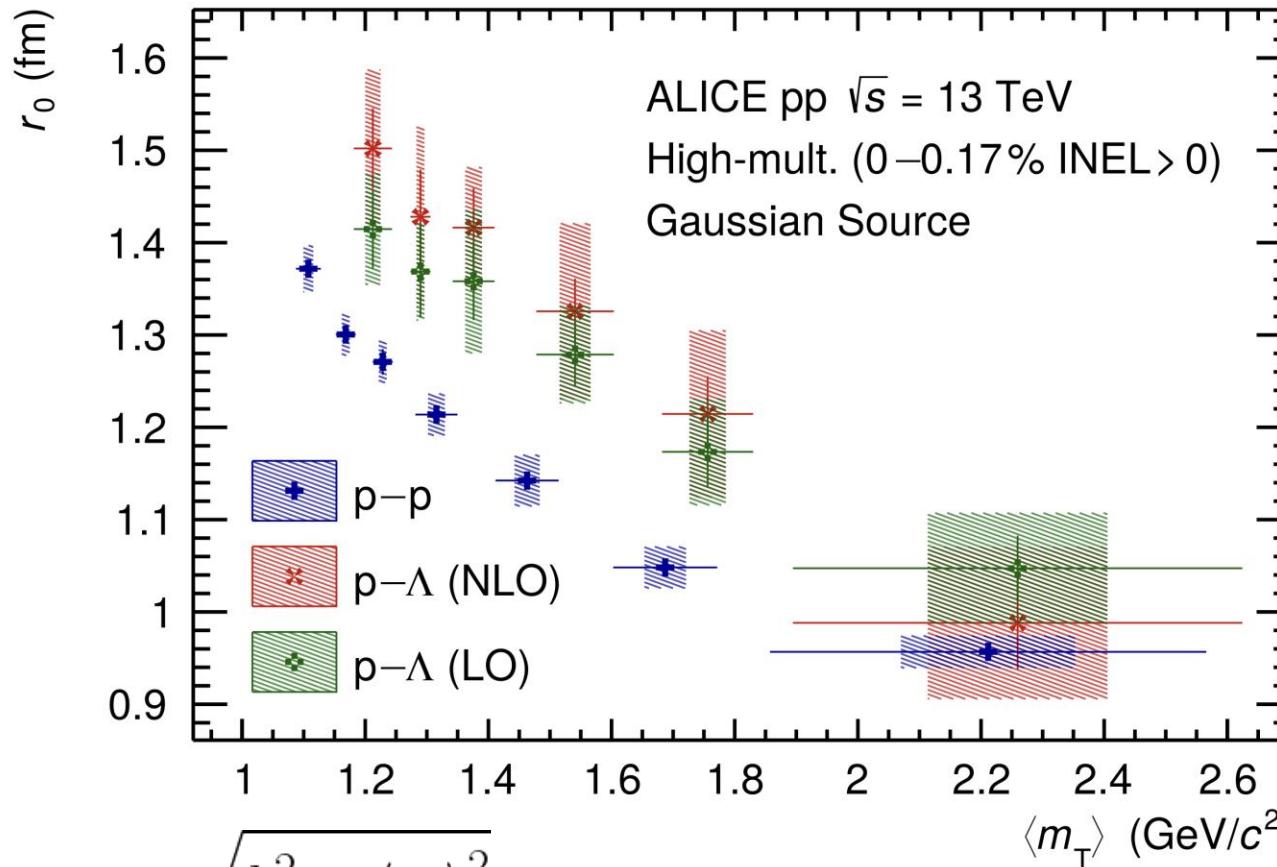
$$k_T = \frac{1}{2} |p_{T,1} + p_{T,2}|$$

- Scaling is expected for common radial flow velocity and hadronization time scale
- Effects influencing the scaling include non-Gaussian contributions to the source



# Common baryonic source in pp collisions

ALICE Coll. PLB 811 (2020)



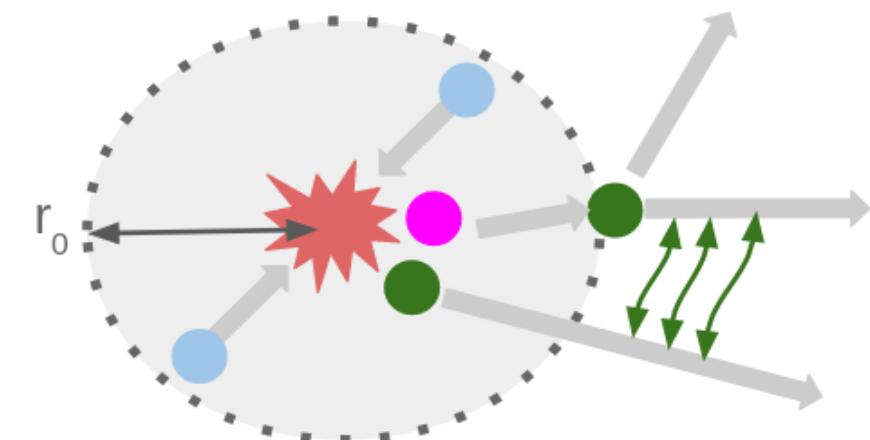
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[1] Y. Sinyukov et al. NPA 946 (2016)

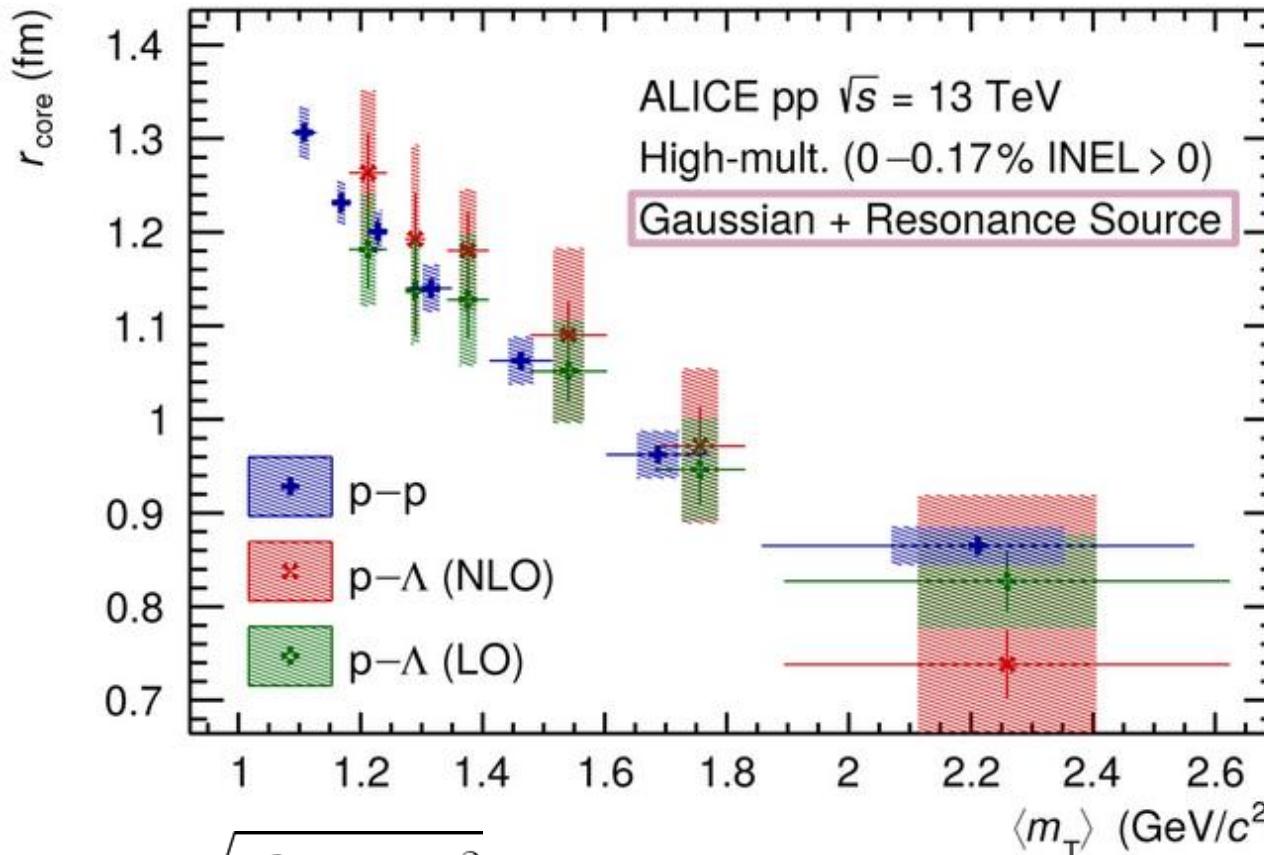
[2] A. Widemann et al. PRC 56 865 (1997)

- Scaling is expected for common radial flow velocity and hadronization time scale
- Effects influencing the scaling include non-Gaussian contributions to the source
- **Feed-down from resonances[1,2]**



# Common baryonic source in pp collisions

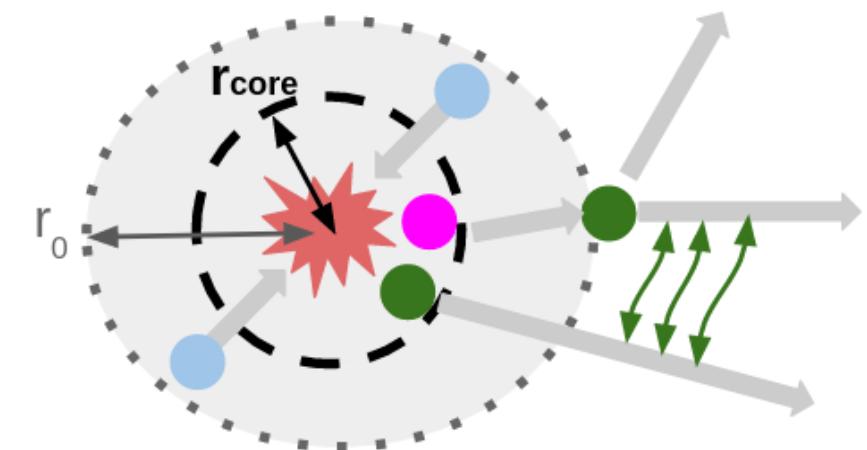
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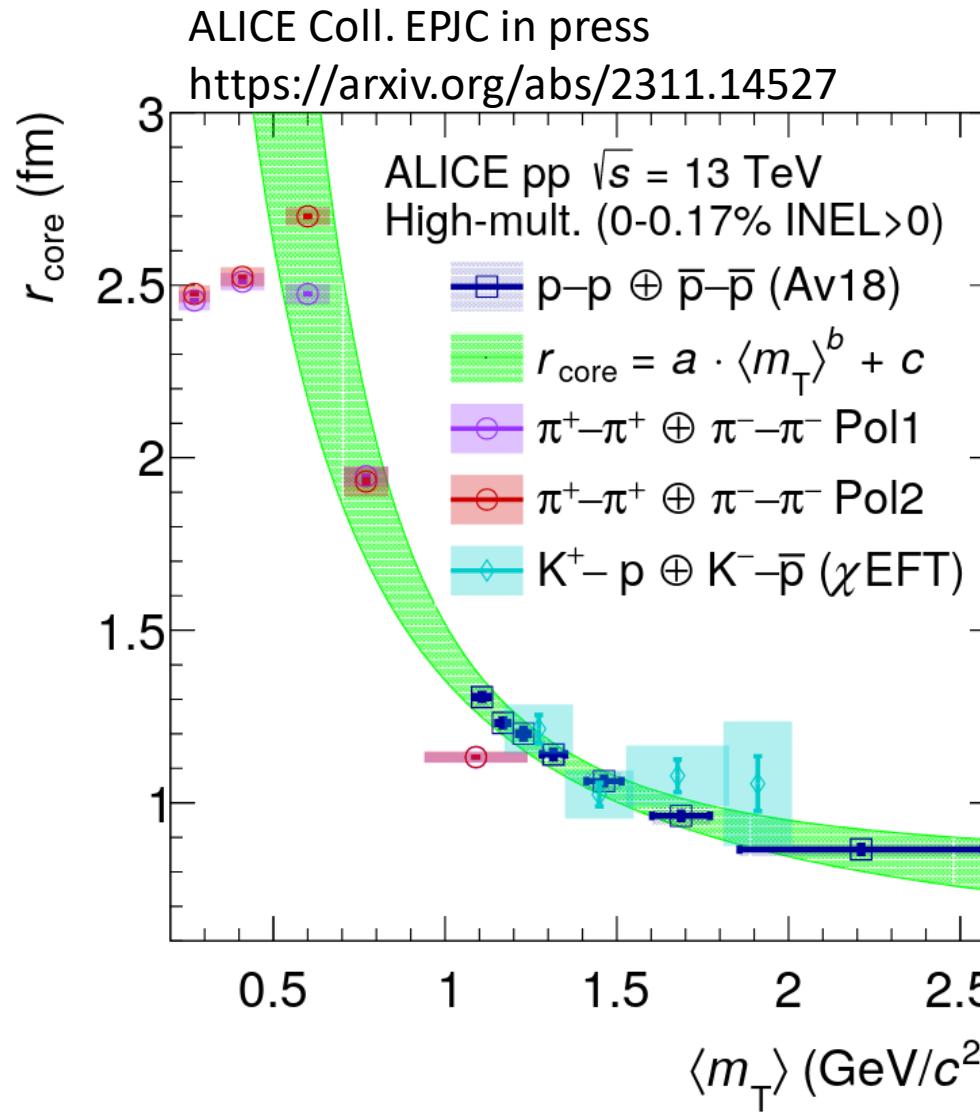
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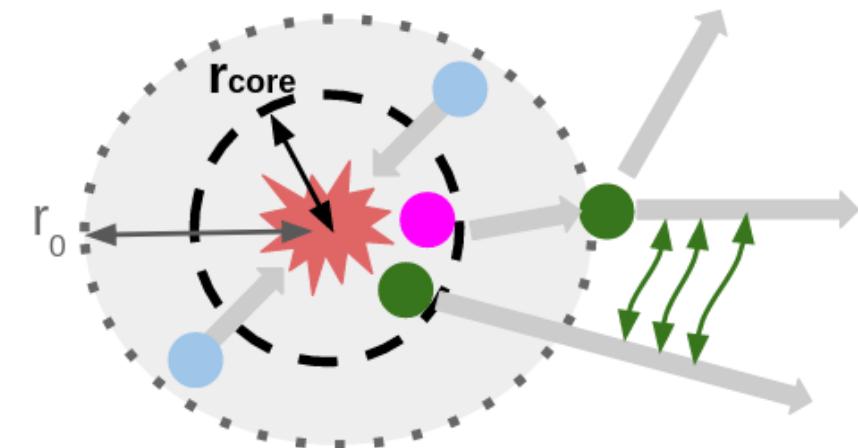
- Common scaling is restored by accounting for non-Gaussian contributions
- Motivates the assumption of a universal particle source for baryons



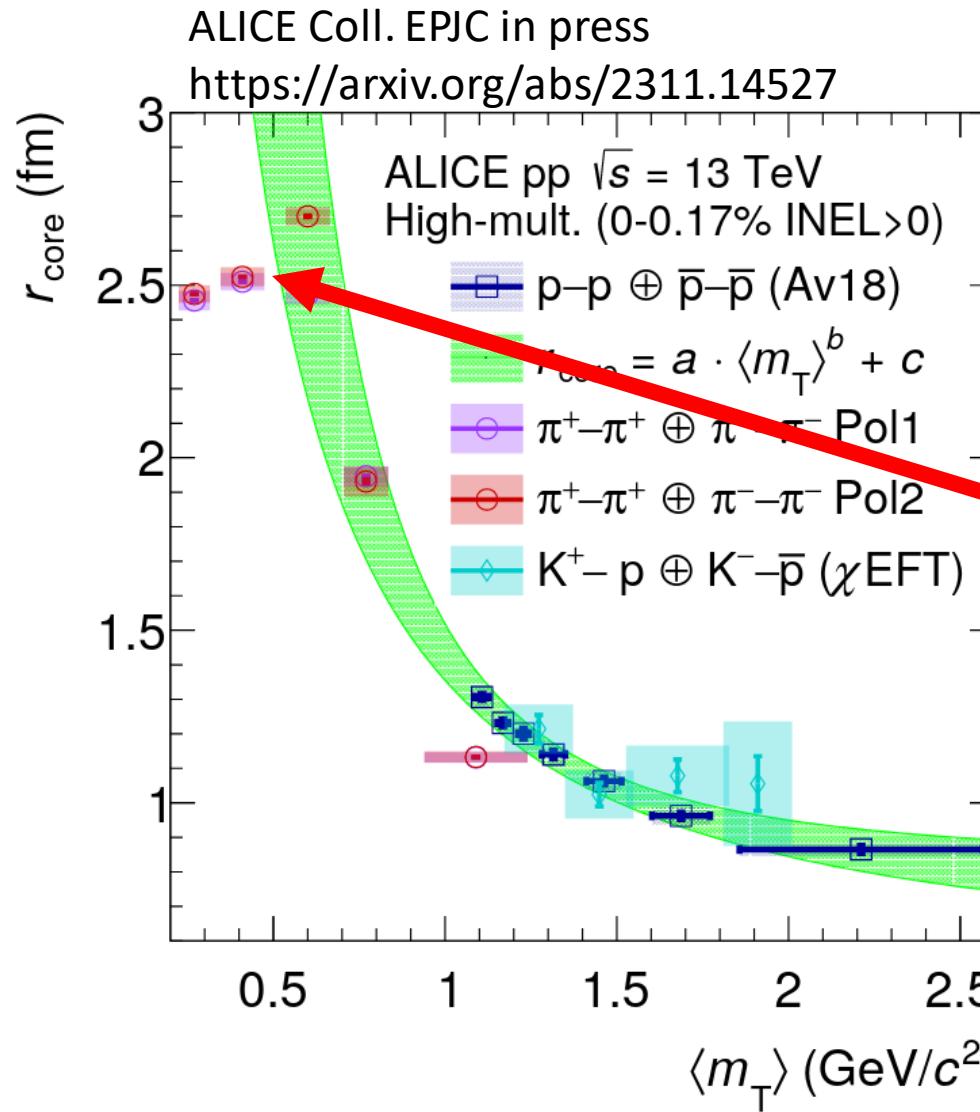
# Common hadron source in pp collisions



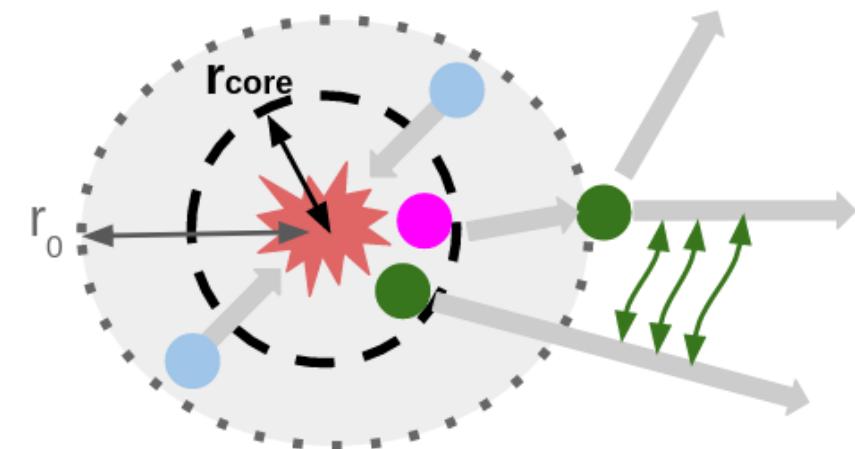
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- Common scaling also holds for meson-baryon and meson-meson pairs



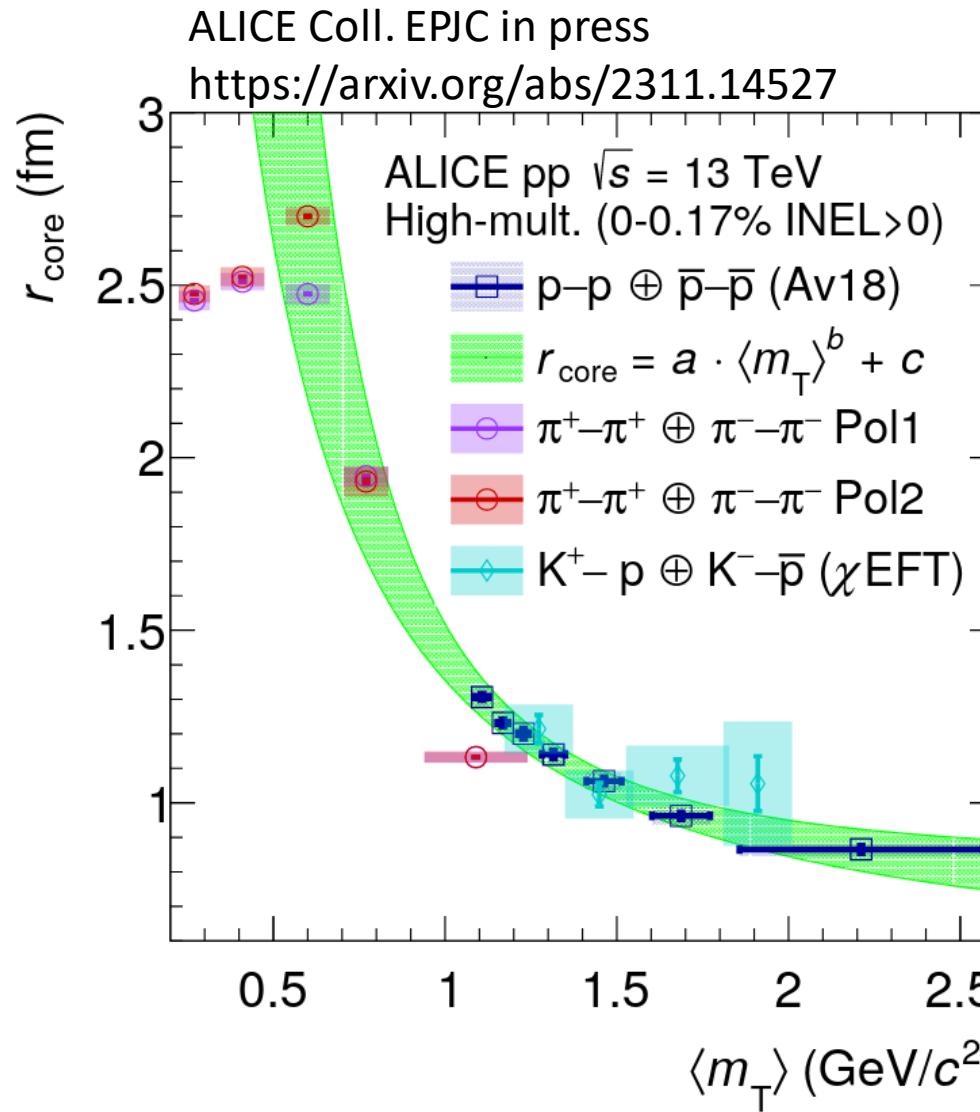
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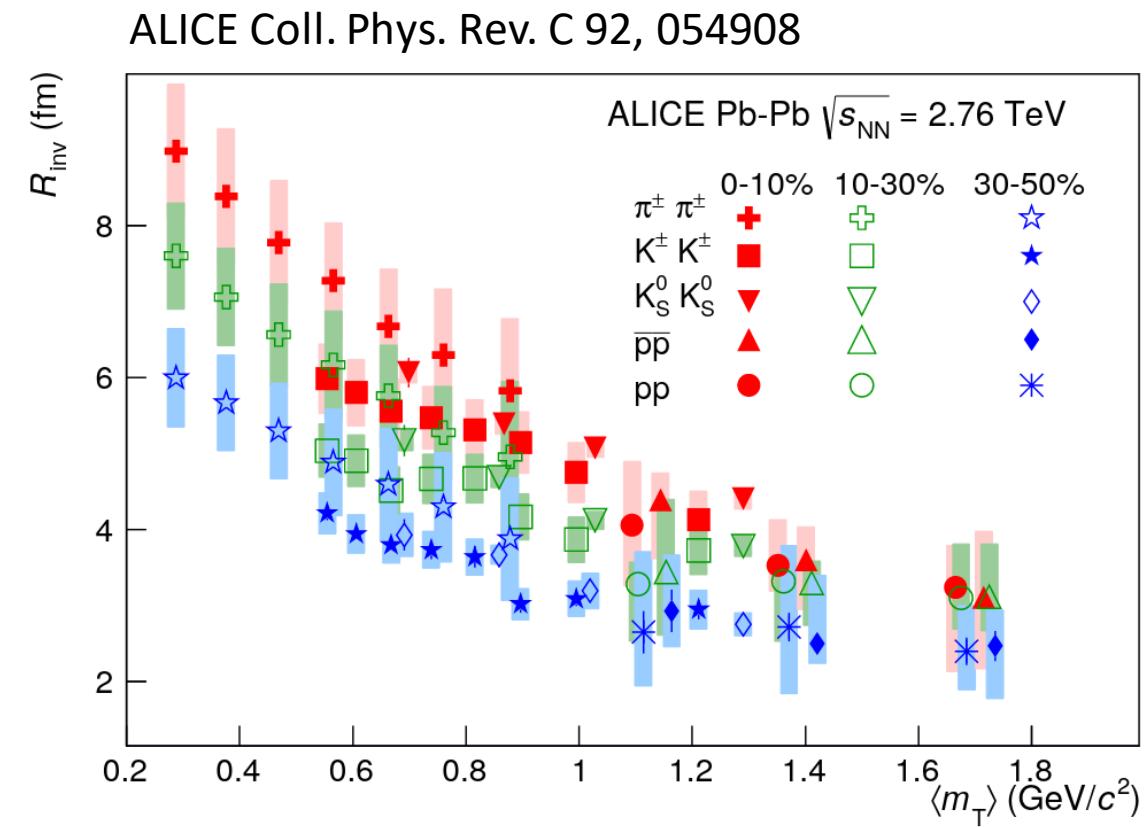
- Common scaling is restored by accounting for non-Gaussian contributions
- Motivates the assumption of a universal particle source for baryons
- Common scaling also holds for meson-baryon and meson-meson pairs
- Saturation observed at low  $m_T$



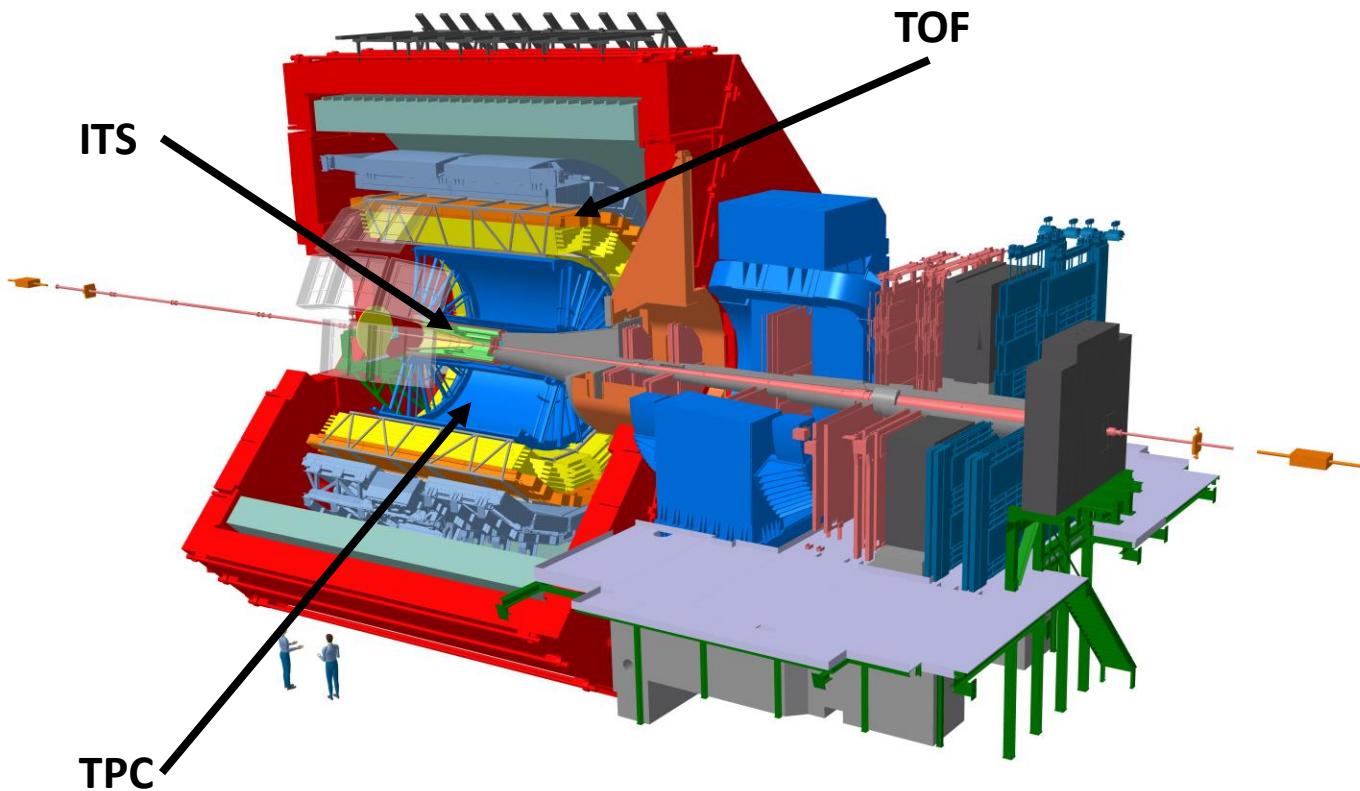
# Common hadron source in pp collisions



- In Pb-Pb collisions, there is also a scaling with centrality/multiplicity
- Can this be observed in pp collisions?**

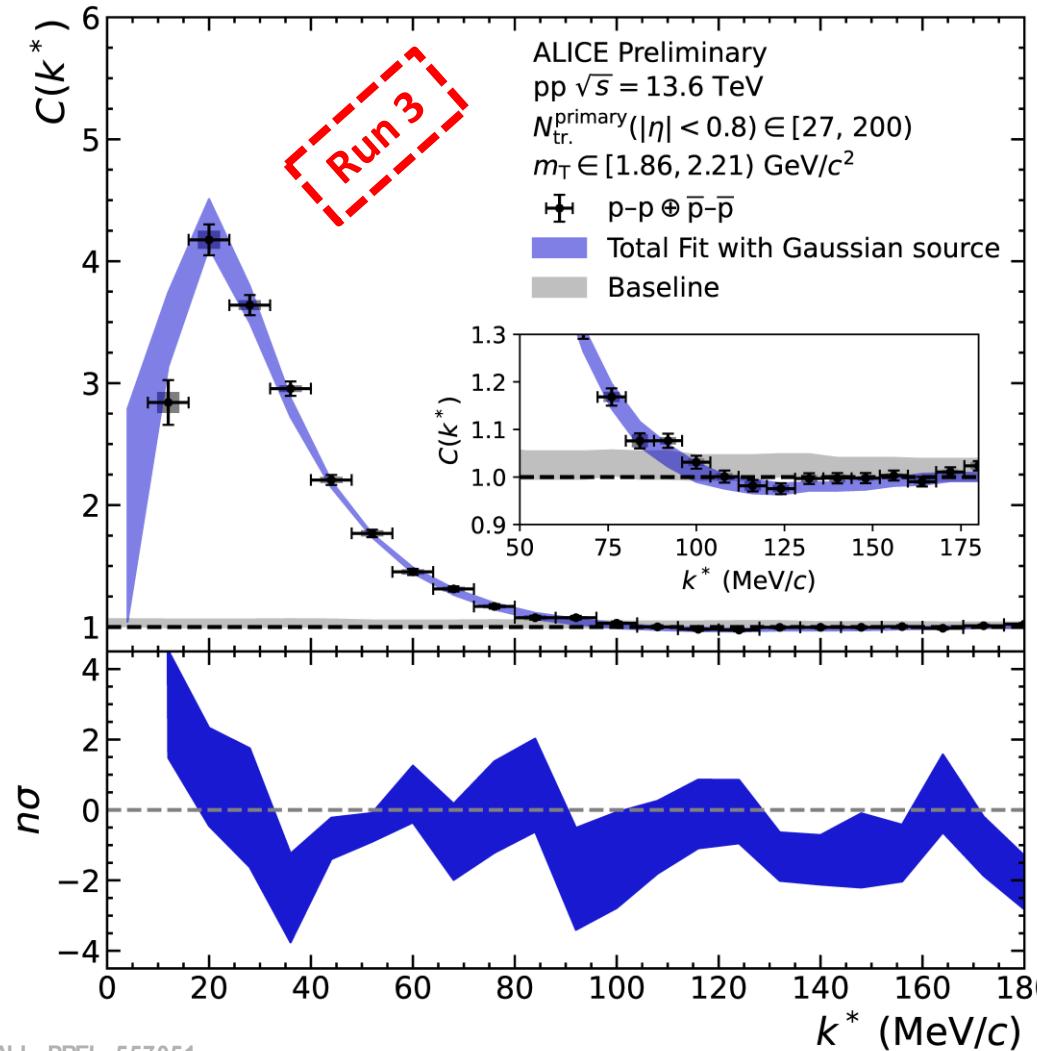


# Femtoscopy at ALICE in pp 13.6 TeV



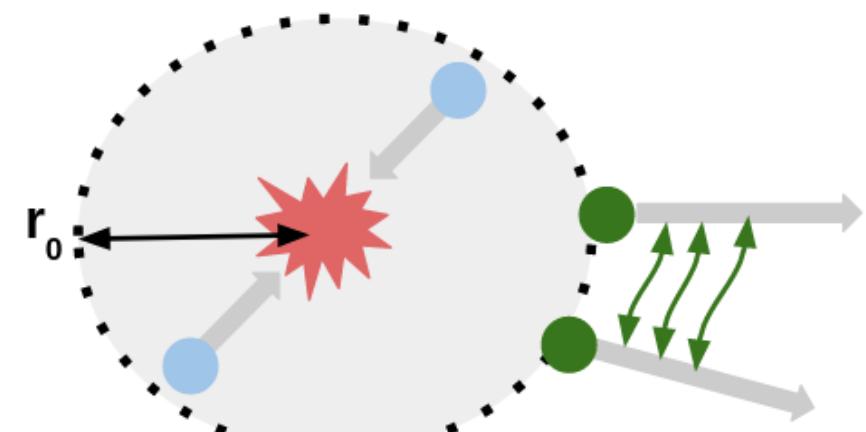
- Upgraded ALICE detector collected roughly **500 billion** pp collisions at 13.6 TeV in 2022 alone
- So far roughly 800x more pp collisions recorded compared to Run 2
- Large minimum bias data sample allows to study the femtoscopic source **differentially in  $m_T$  and multiplicity**
- p-p correlations can be used as standard candle

# p-p correlation function in Run 3



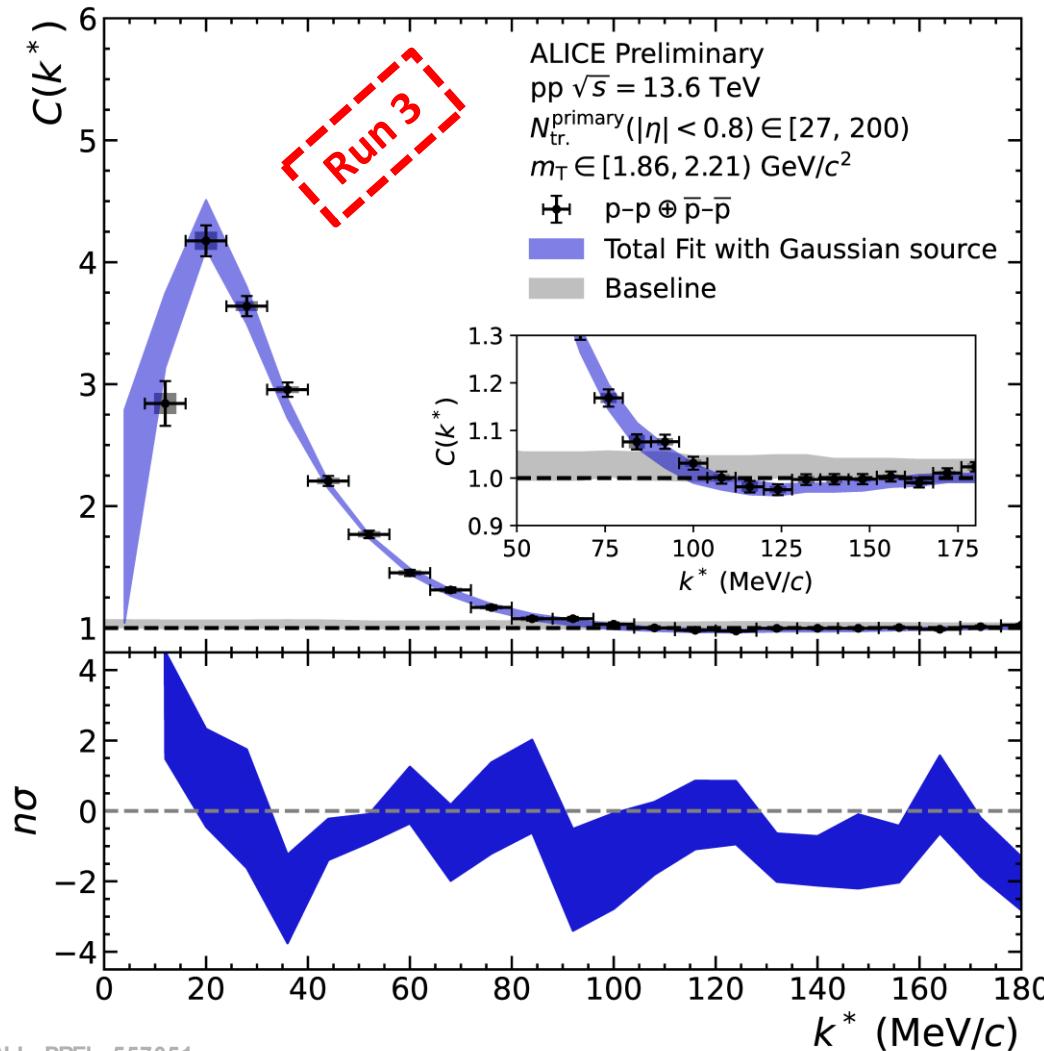
ALI - PREL- 557051

- p-p correlation function is measured in bins of  $m_T$  and charged track multiplicity
- Modeling of the interaction: Coulomb, quantum statistics and strong interaction with Argonne v18 potential
- Source modelled effectively with Gaussian profile



# p-p correlation function in Run 3

42 correlation functions

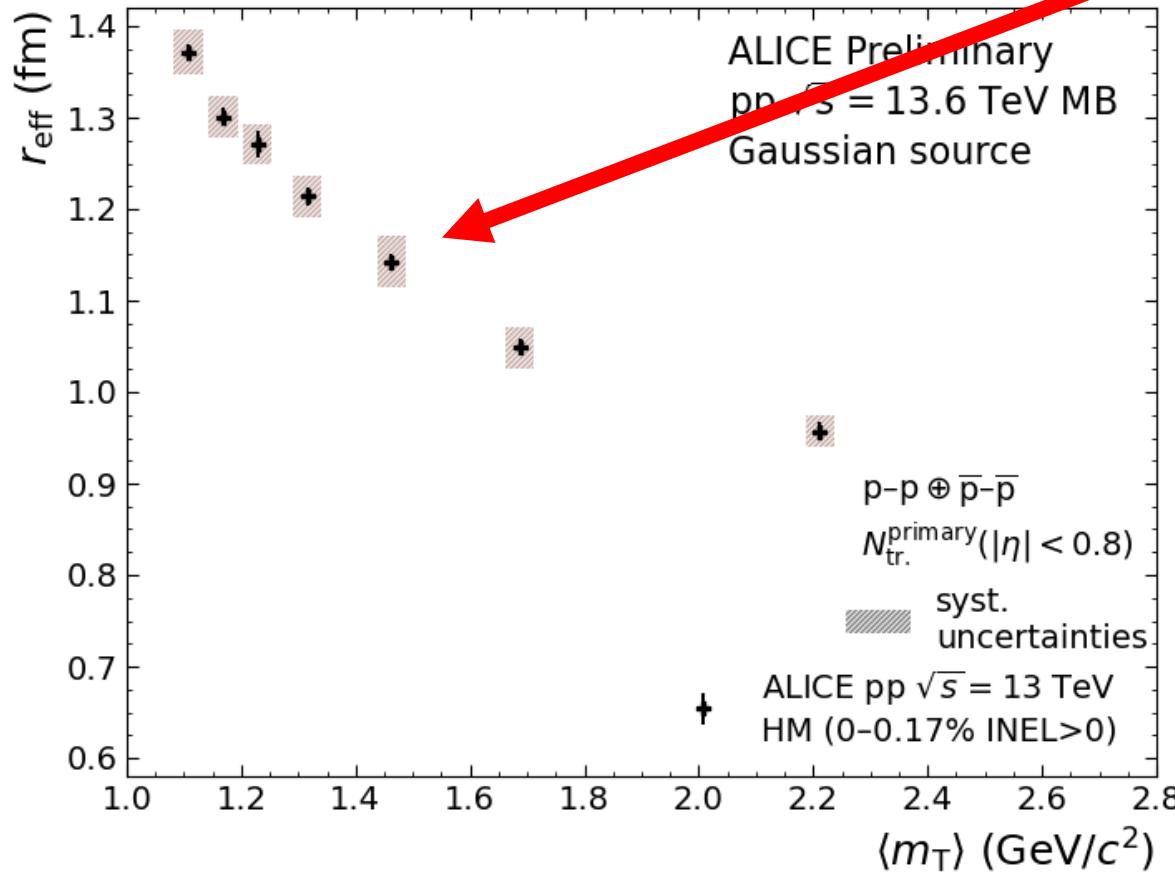


# p-p correlation function in Run 3

**Run 2 data points  
measured in high  
multiplicity collisions**

Observations:

- Source size decreases with  $m_T$  in high multiplicity collisions

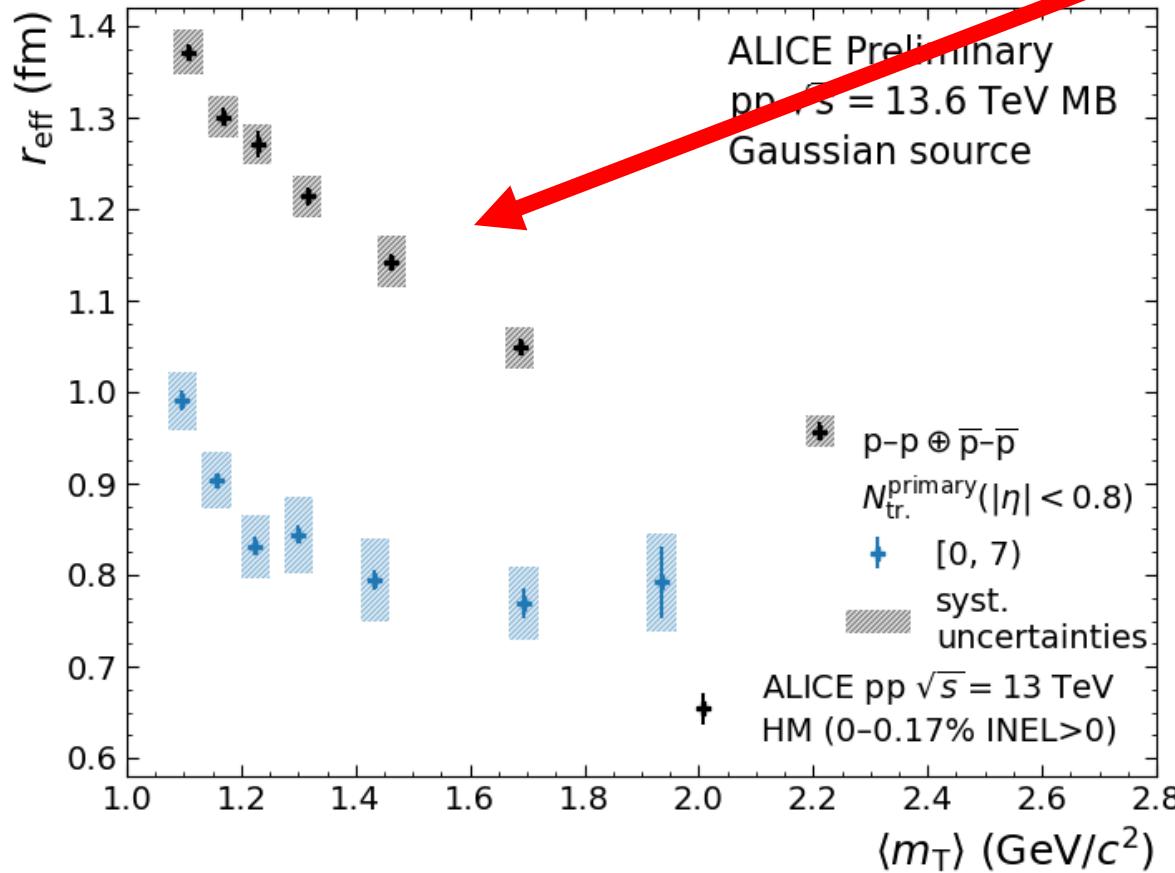


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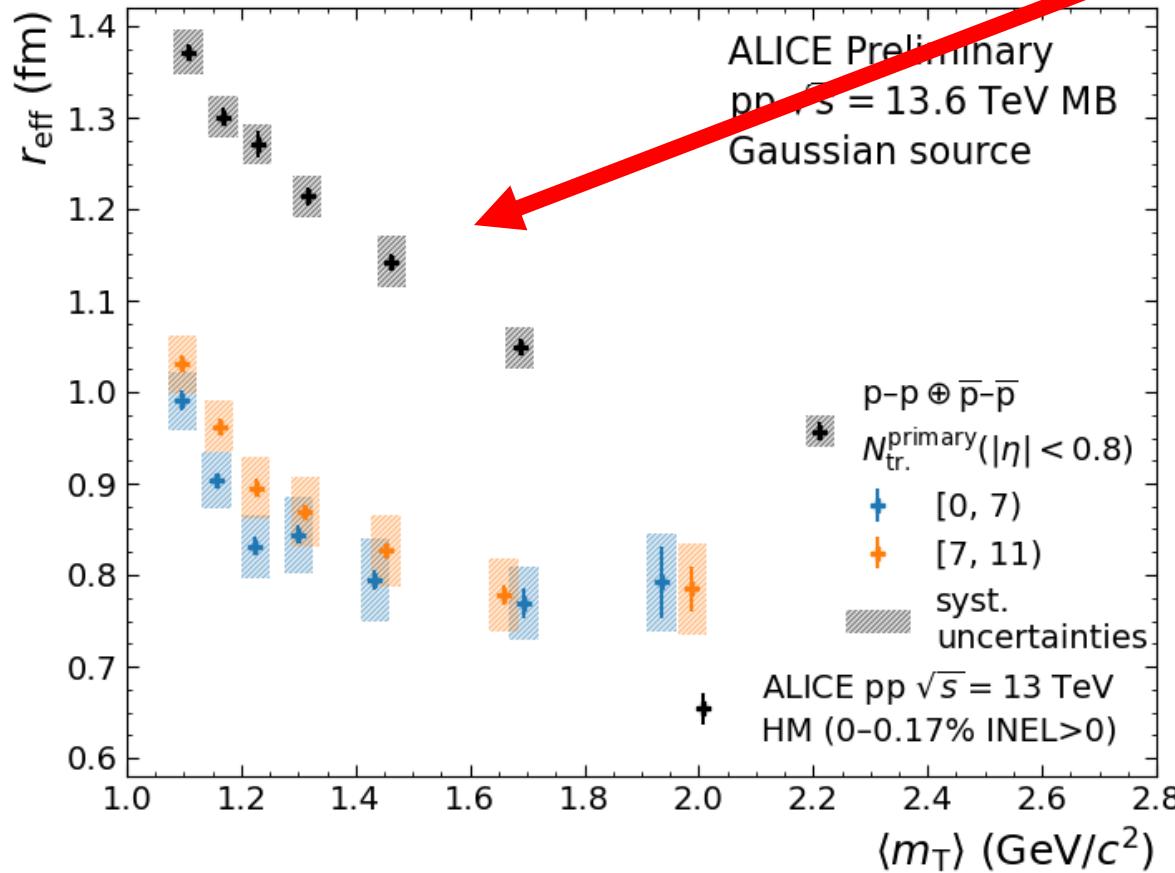


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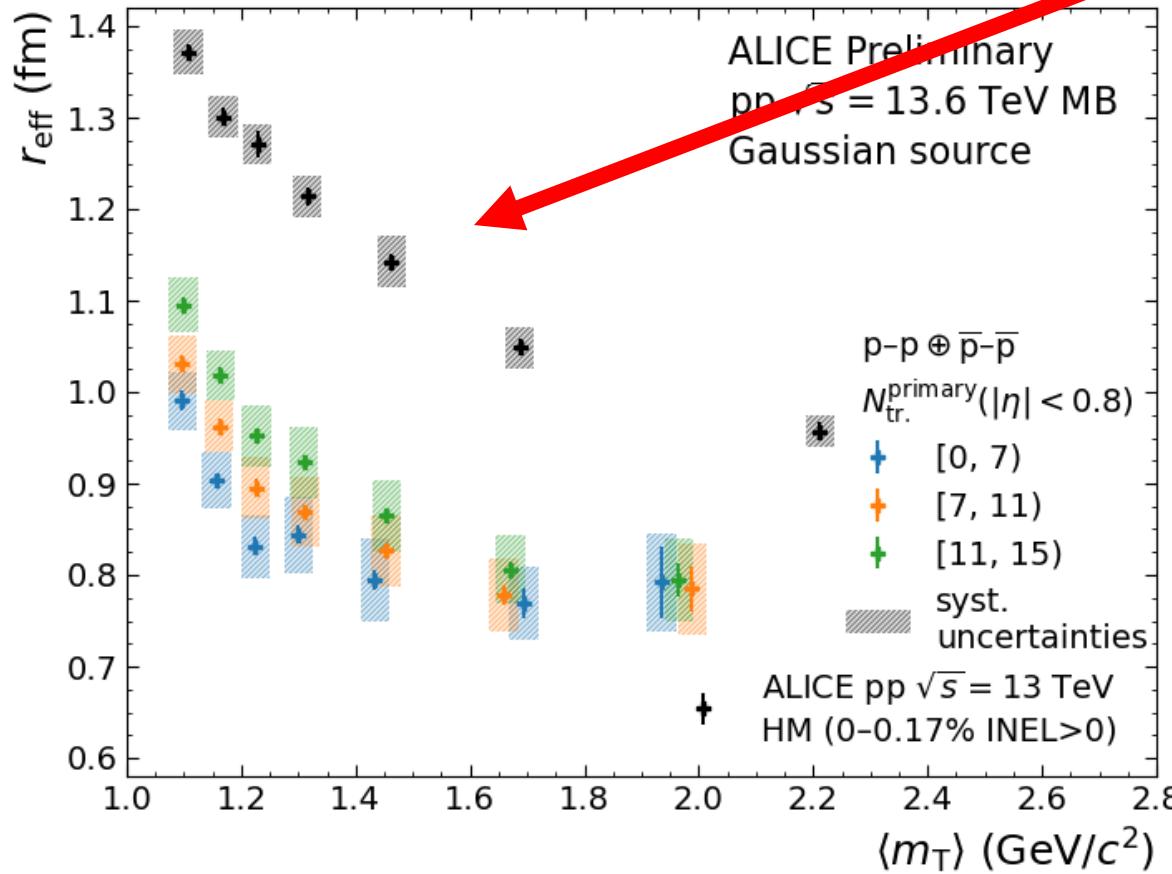
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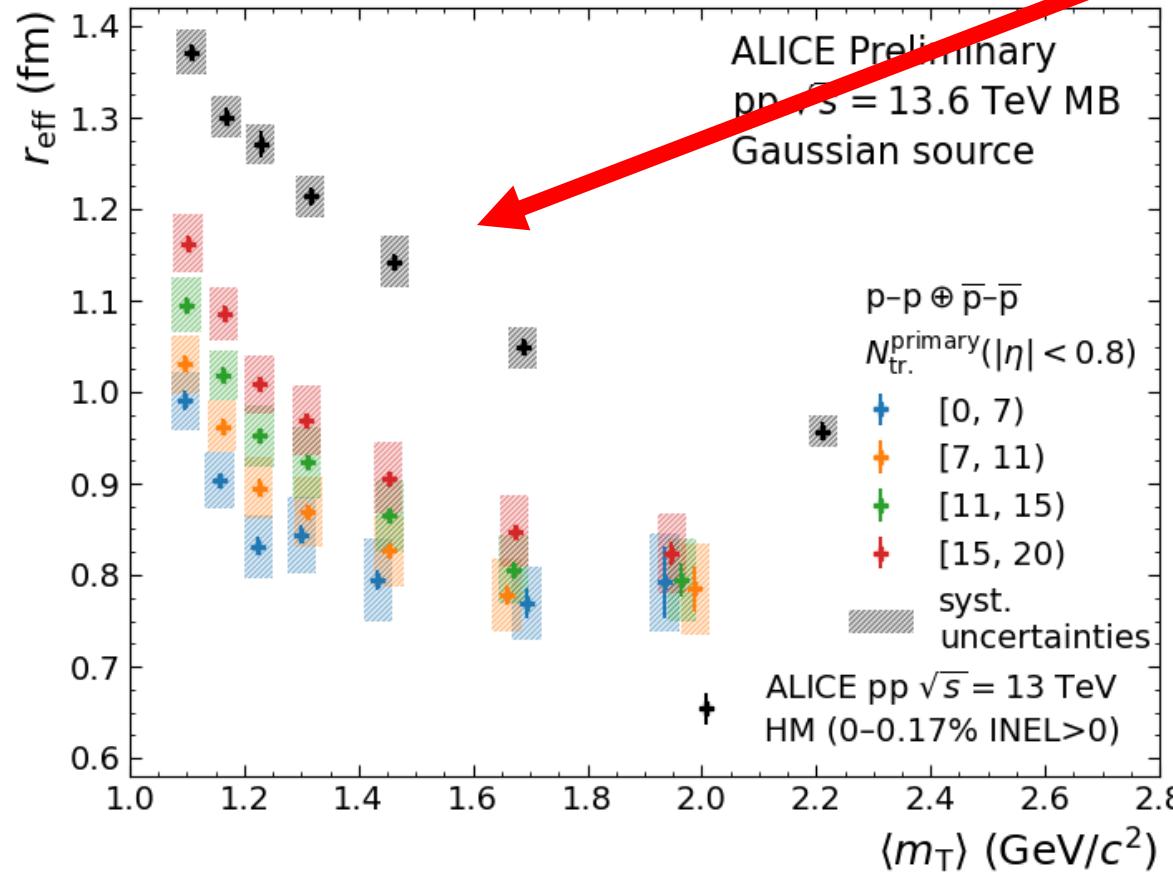
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- Source size decrease across all new multiplicity bins with  $m_T$

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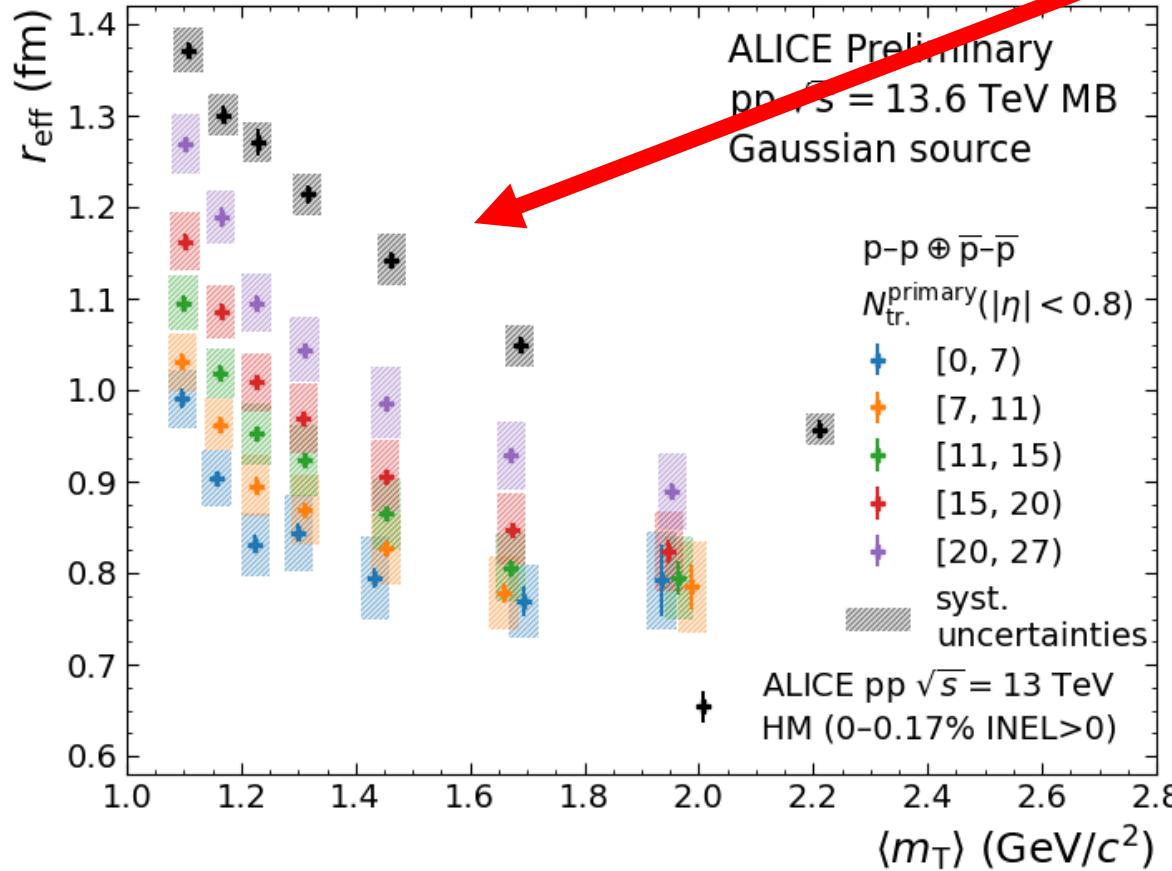
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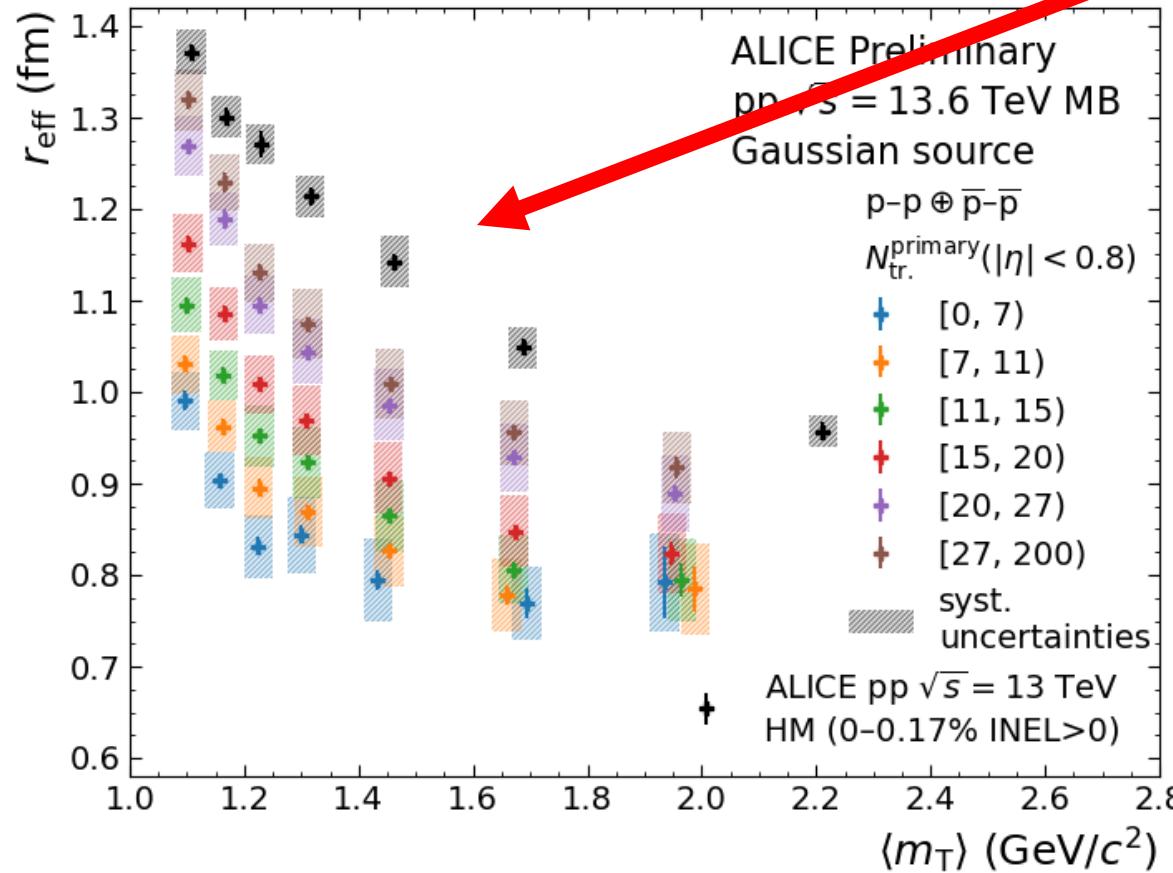
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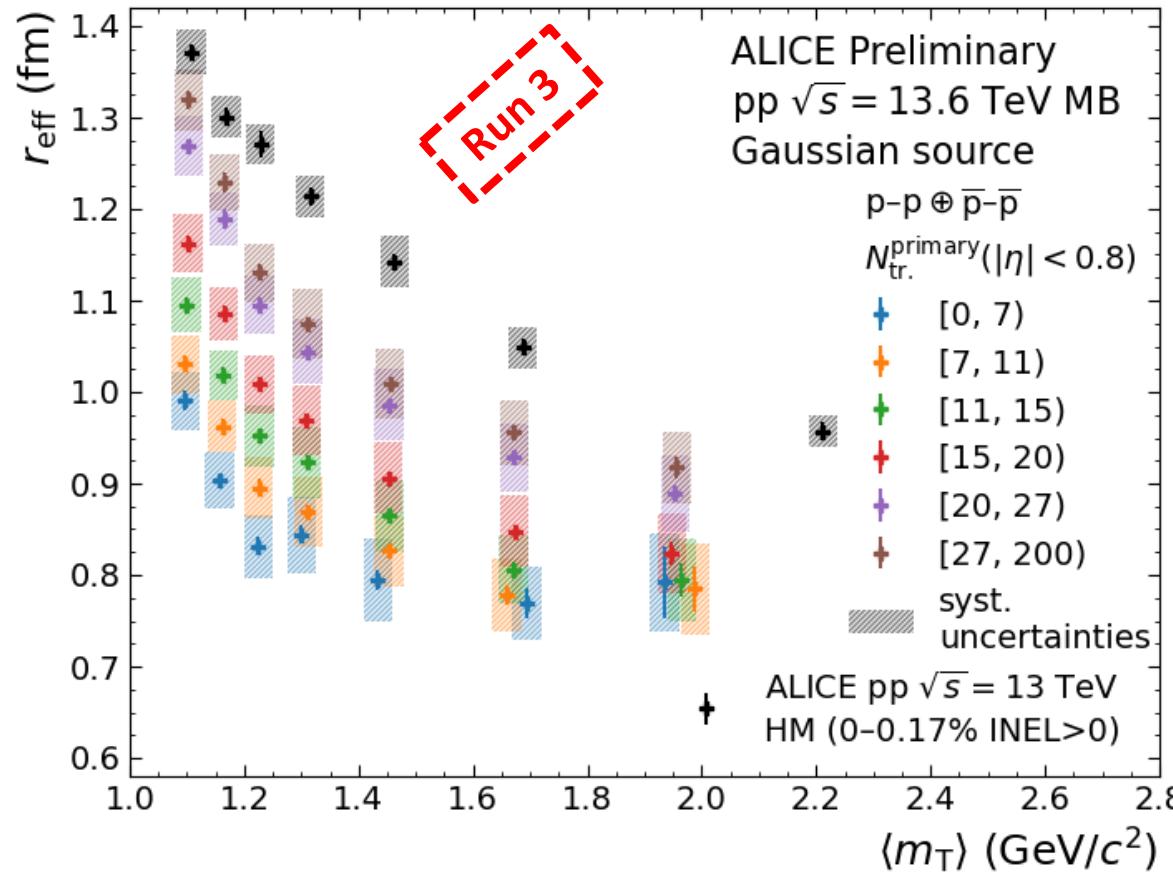
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- Source size increases with multiplicity



# p-p correlation function in Run 3



## Observations:

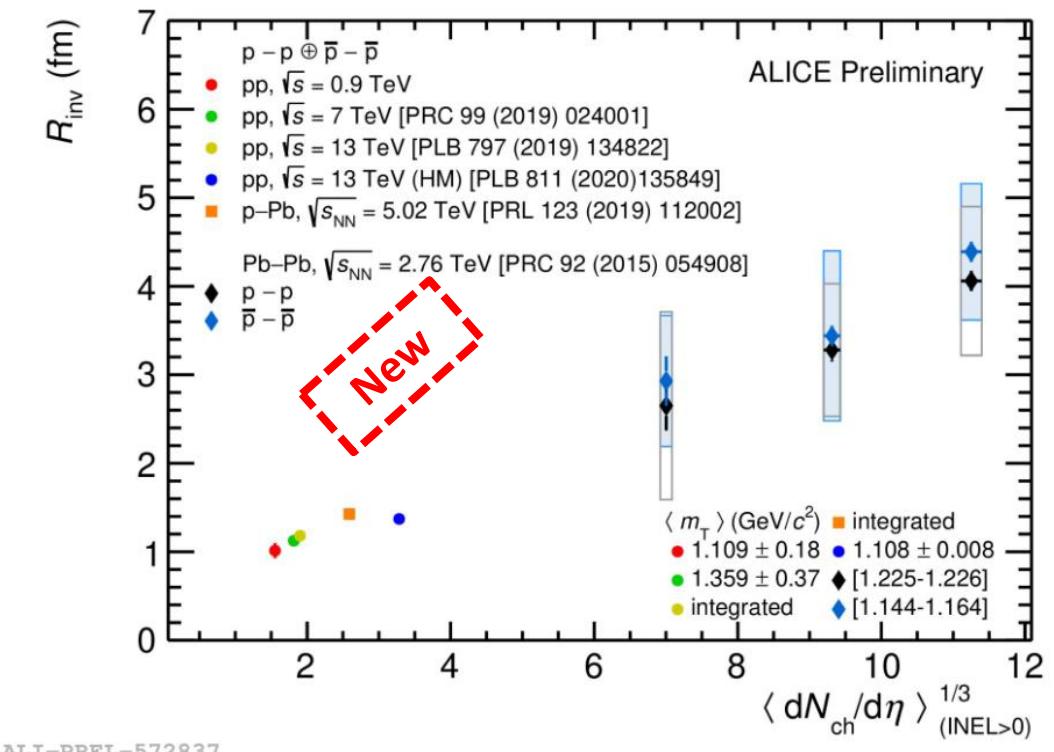
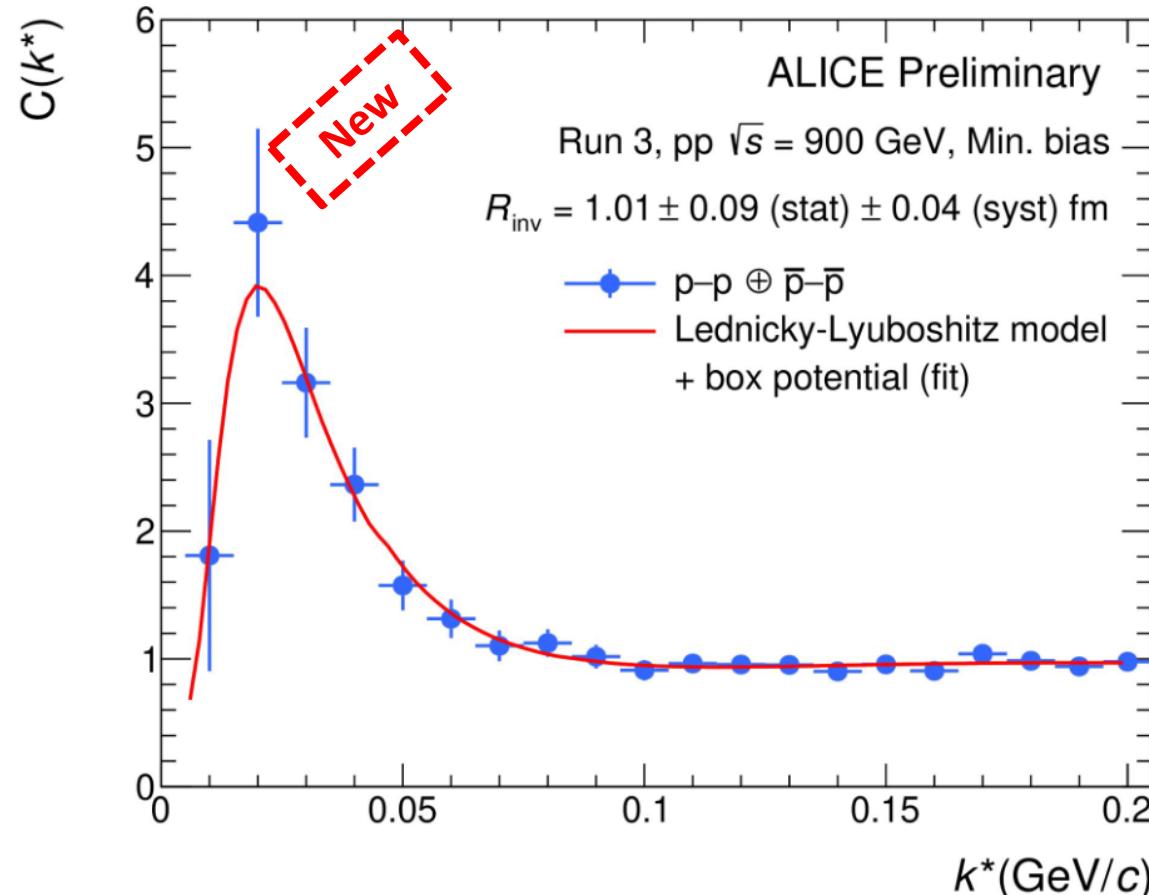
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## Caveats:

- Multiplicity estimators are not the same in Run 2 and Run 3 (yet)
- Multiplicity percentile in Run 2 is not identical with multiplicity bin [27,200]

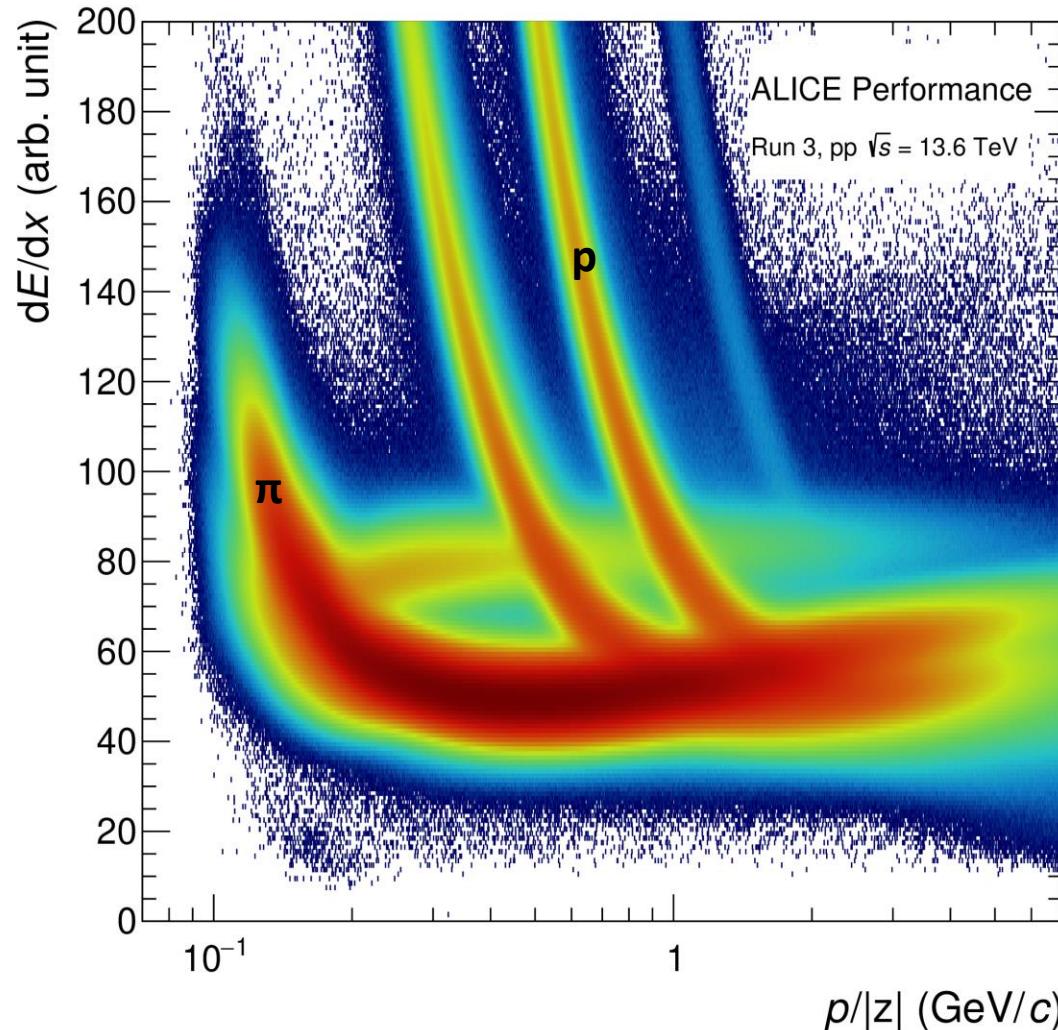
# p-p correlation function in Run 3 @ 900 GeV

Accessing lower multiplicities with lower center of mass energies



Poster by Neelima Agrawal 4 Jun, 18:30

# Outlook: p– $\Lambda$ correlations in Run 3

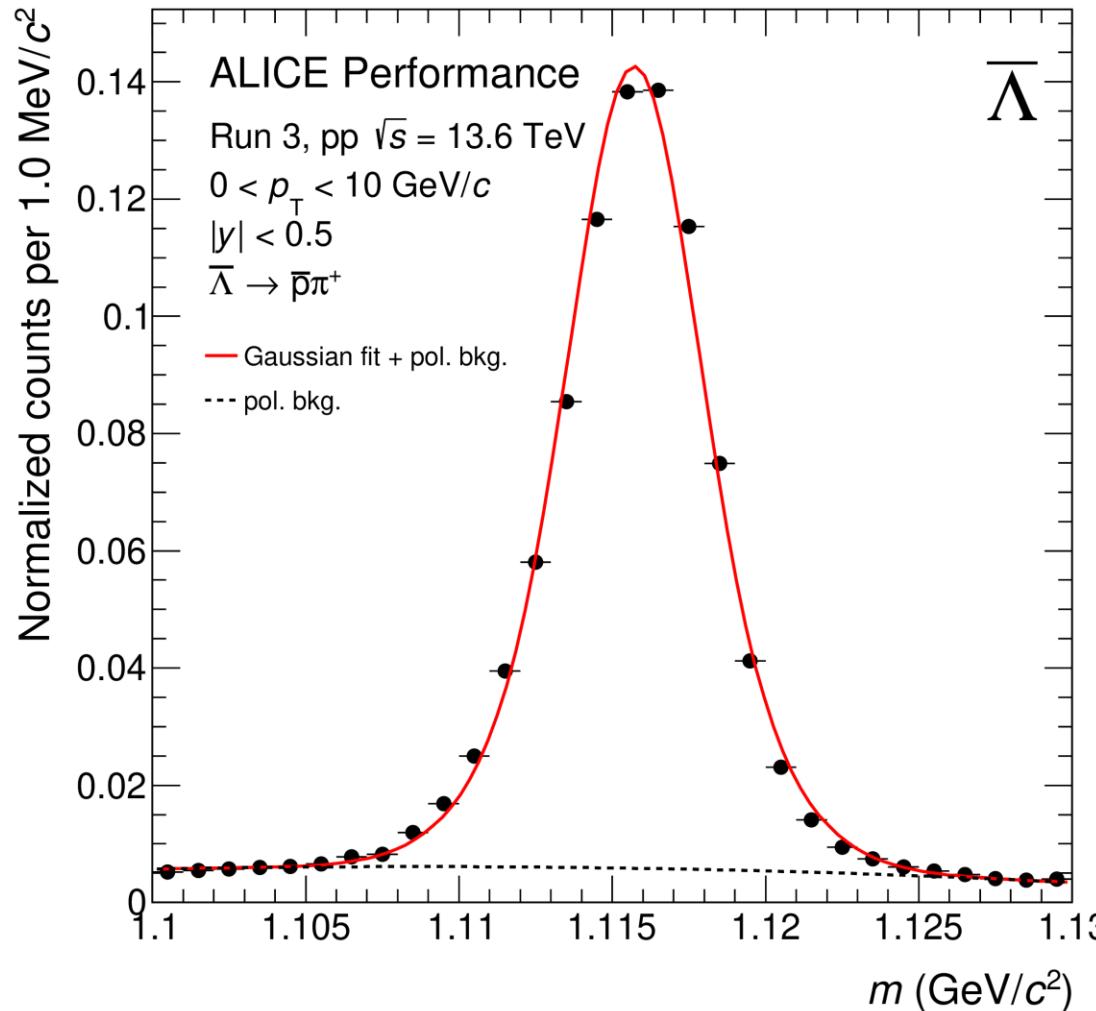


ALI-PERF-537337

$\Lambda$  reconstruction:  $\Lambda \rightarrow p\pi$

- Excellent PID and vertex finding of ALICE allows for efficient identification of  $\Lambda$  daughter tracks
- V0 algorithm is used to reconstruct  $\Lambda$  candidates

# Outlook: p– $\Lambda$ correlations in Run 3



ALI-PERF-529185

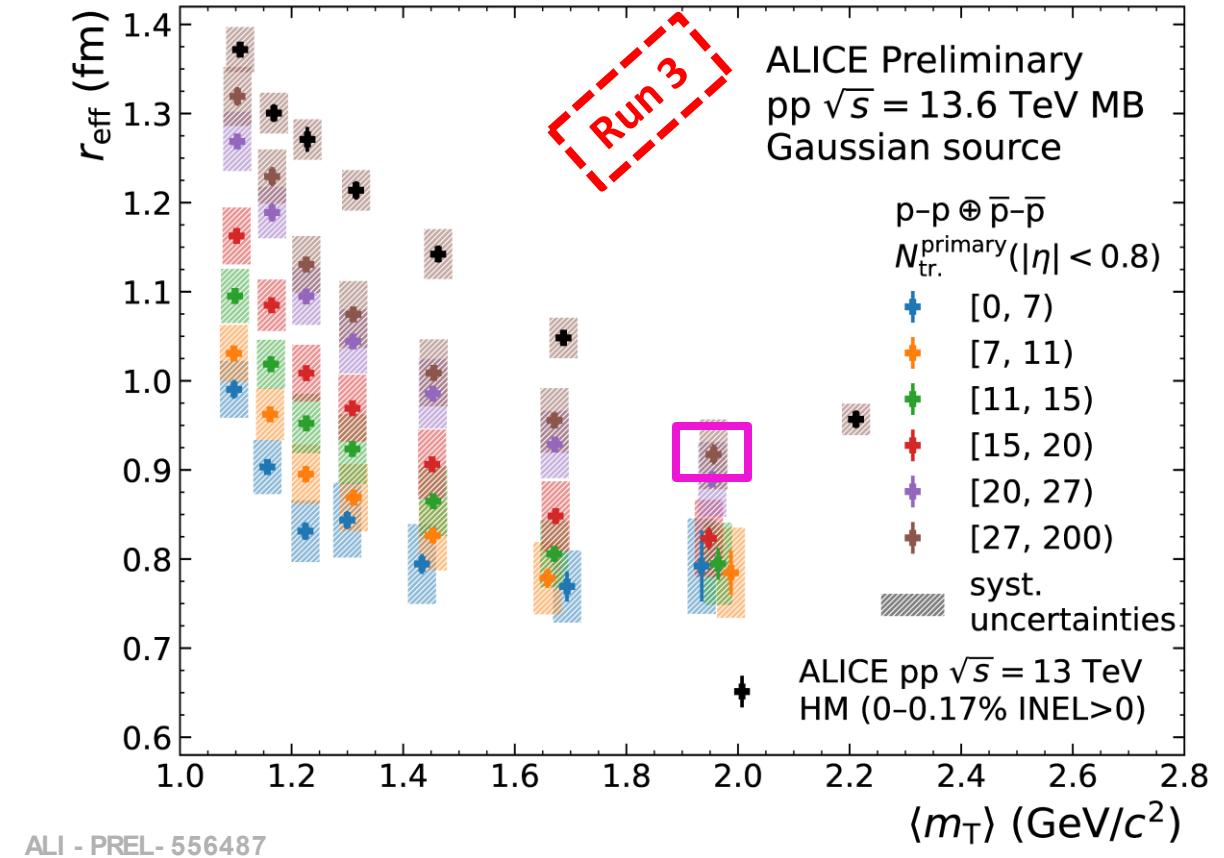
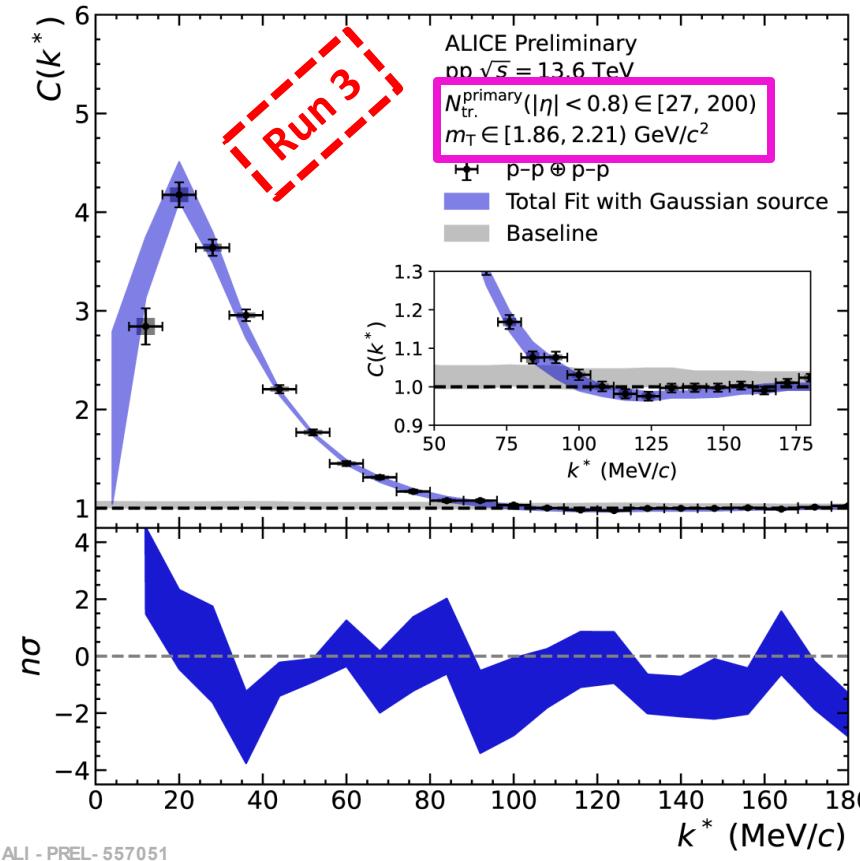
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p– $\Lambda$  correlation measurement:

- High purity sample necessary to extract femto signal
- Need good distinction between protons from primary collisions and  $\Lambda$  decays to avoid autocorrelation

# Summary: Differential measurement of p–p correlations in Run 3



## Stay tuned for

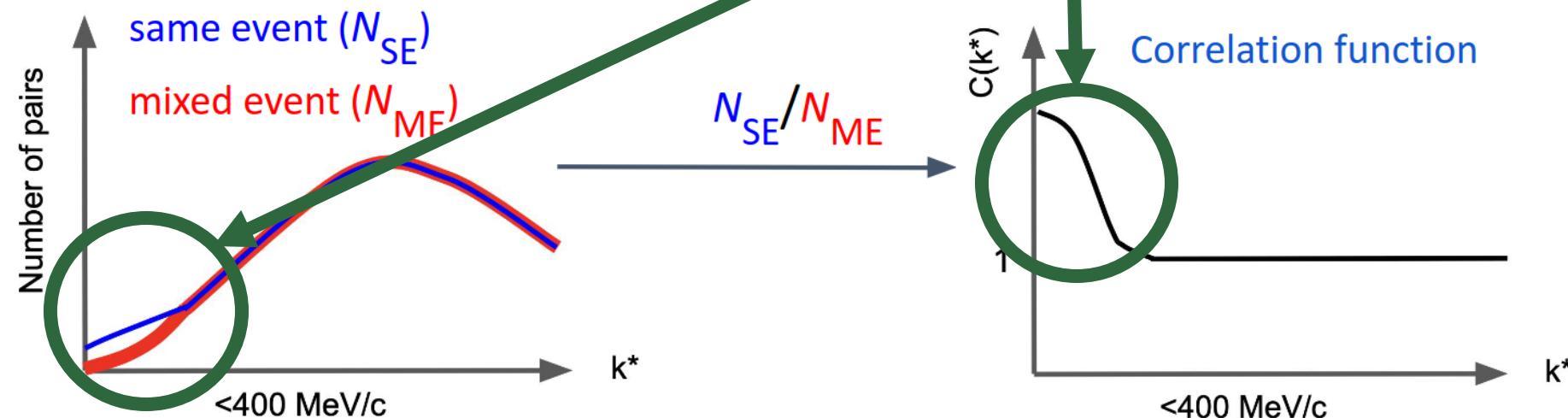
- Measurement of the p–p and of p– $\Lambda$  in similar multiplicity class to Run 2 to benchmark Run 3 results
  - Extend the common source model with multiplicity scaling of the source
- => Source constrained for future femtoscopic measurements in Run 3 with ALICE**

# Backup

# Femtoscopy

Central observable:  
Correlation function

$$C(k^*) = \mathcal{N} \frac{N_{\text{SE}}(k^*)}{N_{\text{ME}}(k^*)}$$



$$k^* = \frac{|\vec{p}_a - \vec{p}_b|}{2}$$

Quantum statistics,  
Coulomb,  
strong force, ...

M. A. Lisa et. al., Ann.Rev.Nucl.Part.Sci.55:357-402, 2005