

57th Rencontres de Moriond

Impact of CPV phases on flavour violating H & Z decays

based on 2207.10109, with A. Abada, J. Kriewald, S. Rosauro and A. M. Teixeira

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Extend the SM lepton sector

SM lepton sector: neutrinos are strictly **massless**

⇒ no source of CP Violation & charged Lepton Flavour Violation

Neutrino oscillations: 1st laboratory **evidence of NP**

→ neutrinos are **massive** & leptons mix $\mathcal{U}_{ai}^{\text{PMNS}}$

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⇒ Need New Physics

→ Need new fields: **Majorana**? **LNV**? New sources of **CPV**?

Which model? At which scale? → **Searches for NP in the lepton sector**

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If new **Majorana** states exist, what is the **impact** of the new interactions (mixings & **CPV**) on **flavour observables**?

Minimal “toy model” for **phenomenological** analyses: SM + 2 **Majorana**

⇒ Explore the **low-energy phenomenology** common to complete models (type I seesaw, ISS, ...)

- Ad-hoc construction: extend the SM with 2 **Majorana massive** states leading to **new mixings** and **CPV phases** (Dirac & Majorana)
- No assumption on the **mass generation mechanism** but **well-defined interactions** in physical basis

Enlarged **active-sterile** mixing \mathcal{U}_{ai}

Left-handed lepton mixing $\tilde{\mathcal{U}}_{\text{PMNS}}$

3×3 sub-block, non-unitary!

\Rightarrow **Modified charged & neutral lepton currents!**

$$\mathcal{U}_{5 \times 5} = \begin{pmatrix} |n_L\rangle = \mathcal{U}_{5 \times 5} |\nu_i\rangle \\ \begin{matrix} \mathcal{U}_{e1} & \mathcal{U}_{e2} & \mathcal{U}_{e3} & \mathcal{U}_{e4} & \mathcal{U}_{e5} \\ \mathcal{U}_{\mu 1} & \mathcal{U}_{\mu 2} & \mathcal{U}_{\mu 3} & \mathcal{U}_{\mu 4} & \mathcal{U}_{\mu 5} \\ \mathcal{U}_{\tau 1} & \mathcal{U}_{\tau 2} & \mathcal{U}_{\tau 3} & \mathcal{U}_{\tau 4} & \mathcal{U}_{\tau 5} \end{matrix} \\ \begin{matrix} \mathcal{U}_{s1} & \mathcal{U}_{s2} & \mathcal{U}_{s3} & \mathcal{U}_{s4} & \mathcal{U}_{s5} \\ \mathcal{U}_{s'1} & \mathcal{U}_{s'2} & \mathcal{U}_{s'3} & \mathcal{U}_{s'4} & \mathcal{U}_{s'5} \end{matrix} \end{pmatrix}$$

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- **Sizeable contributions** to **cLFV observables**
- **Interference effects** between heavier states expected

Constructive & destructive interference effects
in cLFV leptonic and boson decays!

Minimal “toy model” for phenomenological analyses: $\text{SM} + 2\nu_s$

2 heavy **sterile** states with masses m_4 and m_5 , leptonic mixing $\mathcal{U}_{5 \times 5}$ and CPV phases (Dirac δ and/or Majorana φ)

Full phenomenological study

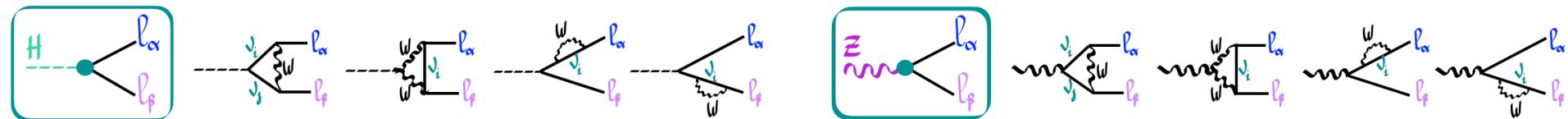
⇒ Take into account all available experimental constraints

- Limits on active-sterile mixings
- Negative results of searches for sterile states
- Electroweak precision tests
- Bounds on searches for other cLFV transitions

⇒ No assumptions on active-sterile mixings
& all CPV phases randomly varied

Gauge bosons (Z, W) and Higgs decays are sensitive to **New Physics**

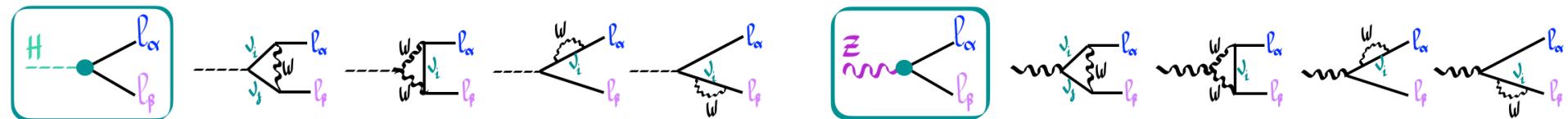
⇒ What is the **impact** of **CPV phases** on $H \rightarrow \mu\tau$ and $Z \rightarrow \mu\tau$?



Full computation of cLFV widths; both unitary & Feynman gauges for complete HNL models

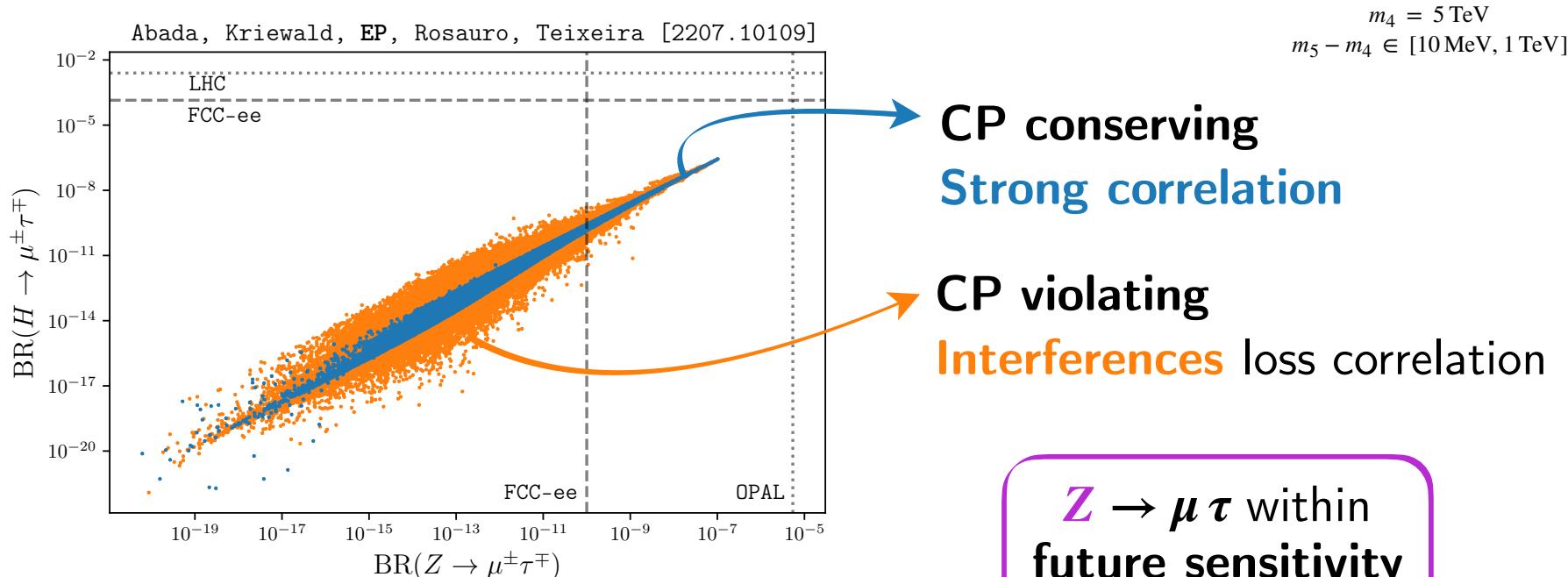
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Full computation of cLFV widths; both unitary & Feynman gauges for complete HNL models

Randomly varying all **CPV phases** associated with the **sterile states**



$H \rightarrow \mu\tau$ beyond future experimental reach

$Z \rightarrow \mu\tau$ decays potentially observable AND impacted by CPV phases

⇒ Consider CP-asymmetries

$$\mathcal{A}_{CP}(Z \rightarrow \ell_\alpha \ell_\beta) = \frac{\Gamma(Z \rightarrow \ell_\alpha^- \ell_\beta^+) - \Gamma(Z \rightarrow \ell_\alpha^+ \ell_\beta^-)}{\Gamma(Z \rightarrow \ell_\alpha^- \ell_\beta^+) + \Gamma(Z \rightarrow \ell_\alpha^+ \ell_\beta^-)}$$

If sizeable, ultimate probes of the presence of CPV

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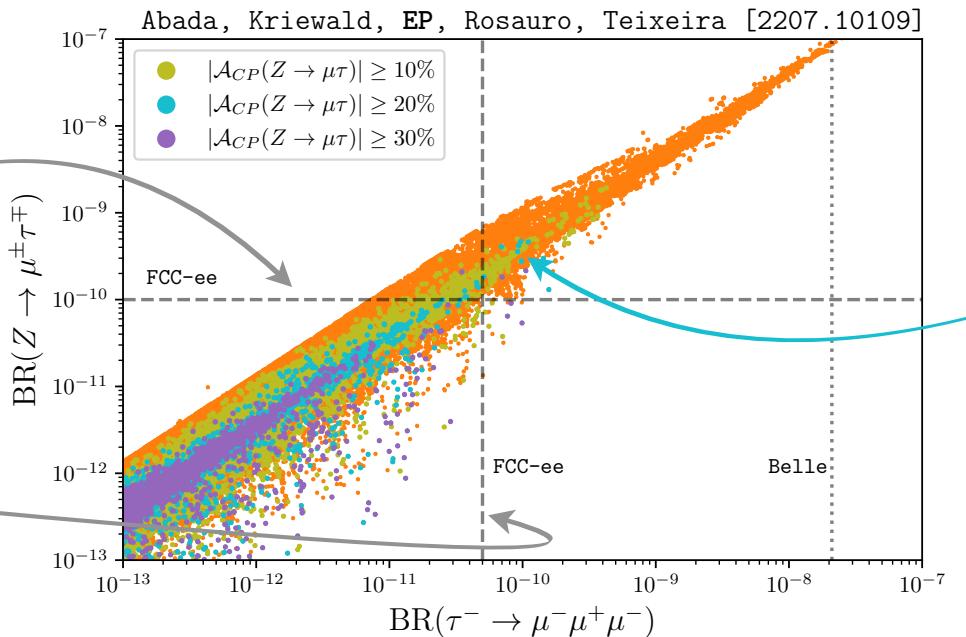
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If sizeable, ultimate probes of the presence of CPV

Behaviour of $\mu - \tau$ sector observables

$Z \rightarrow \mu\tau$
within
future reach

$\tau \rightarrow 3\mu$ within
future reach



For $Z \rightarrow \mu\tau$ and $\tau \rightarrow 3\mu$ within future sensitivity, $|\mathcal{A}_{CP}(Z \rightarrow \mu\tau)|$ can reach $\geq 20\%$

If joint observation ⇒ highly suggestive of such an extension!

By at least 2 heavy Majorana fermions

Impact of (potential) measurement of the **CP asymmetries**

P_A $m_4 = 5 \text{ TeV}, m_5 = 5.1 \text{ TeV},$
 $s_{14} = -0.0028, s_{15} = 0.0045, s_{24} = -0.0052, s_{25} = -0.0037, s_{34} = -0.052, s_{35} = -0.028,$
 $\delta_{ij} = \varphi_i = 0,$

P_B $m_4 = 5 \text{ TeV}, m_5 = 5.1 \text{ TeV},$
 $s_{14} = 0.00020, s_{15} = -7.1 \times 10^{-5}, s_{24} = -0.0024, s_{25} = 0.029, s_{34} = -0.073, s_{35} = -0.037,$
 $\delta_{14} = 0.71, \delta_{15} = 5.21, \delta_{24} = 2.06, \delta_{25} = 4.78, \delta_{34} = 3.80, \delta_{35} = 4.74, \varphi_4 = 1.77, \varphi_5 = 4.33.$

Both benchmark points P_A and P_B lead to **common cLFV predictions:**
 all leading to $\mu \rightarrow 3e$, $\mu - e$ conversion, $\tau \rightarrow 3\mu$ and $Z \rightarrow \mu\tau$ within future sensitivity

Indistinguishable if **cLFV** signals are observed

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Indistinguishable if **cLFV** signals are observed

BUT CP asymmetries in Z -boson decays offer a **clear distinction**:

P_B leads to $\mathcal{A}_{CP}(Z \rightarrow \mu\tau) = 30\%$

⇒ Can disentangle between **CP conserving** et **CPV** scenarios!

- ~~> **Minimal** and **simple** BSM construction:
SM + 2 **heavy Majorana** fermions
First steps towards **low-energy phenomenological studies** of complete models

- ~~> **cLFV boson decays** sensitive to the presence of HNL:
CPV phases have a **clear impact** on the decay rates

- ~~> $Z \rightarrow \mu\tau$ within future sensitivity and large associated \mathcal{A}_{CP}
⇒ Importance of taking **multiple observables** into account to **probe CPV** or
CP conserving scenarios!

CP asymmetry key to establish the presence of **CP violation!**

→ Minimal and simple BSM construction:

SM + 2 heavy Majorana fermions

First steps towards low-energy phenomena

Complete models

→ CPV ph

CPV ph

→ Z -

⇒ Import

CP con

CP violating phases do matter!

and should be generally taken into account
for lepton flavoured observables

CP asymmetry key to establish the presence of CP violation!



Thank you for your attention

Modified lepton currents

$$\begin{aligned}
 \mathcal{L}_{W^\pm} &= -\frac{g_w}{\sqrt{2}} W_\mu^- \sum_{\alpha=1}^3 \sum_{j=1}^{3+n_S} \mathcal{U}_{\alpha j} \bar{\ell}_\alpha \gamma^\mu P_L \nu_j + \text{H.c.}, \\
 \mathcal{L}_{Z^0}^\nu &= -\frac{g_w}{4 \cos \theta_w} Z_\mu \sum_{i,j=1}^{3+n_S} \bar{\nu}_i \gamma^\mu (P_L C_{ij} - P_R C_{ij}^*) \nu_j, \\
 \mathcal{L}_{Z^0}^\ell &= -\frac{g_w}{2 \cos \theta_w} Z_\mu \sum_{\alpha=1}^3 \bar{\ell}_\alpha \gamma^\mu (\mathbf{C}_V - \mathbf{C}_A \gamma_5) \ell_\alpha, \\
 \mathcal{L}_{H^0} &= -\frac{g_w}{4 M_W} H \sum_{i \neq j=1}^{3+n_S} \bar{\nu}_i [C_{ij} (P_L m_i + P_R m_j) + C_{ij}^* (P_R m_i + P_L m_j)] \nu_j,
 \end{aligned}$$

$$C_{ij} = \sum_{\rho=1}^3 \mathcal{U}_{i\rho}^\dagger \mathcal{U}_{\rho j}$$

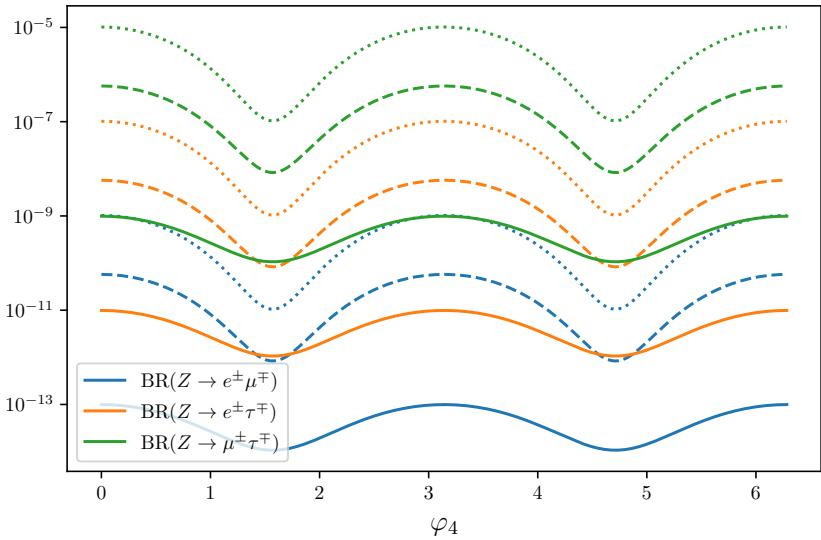
Including CPV phases

$$Z \rightarrow \ell_\alpha \ell_\beta$$

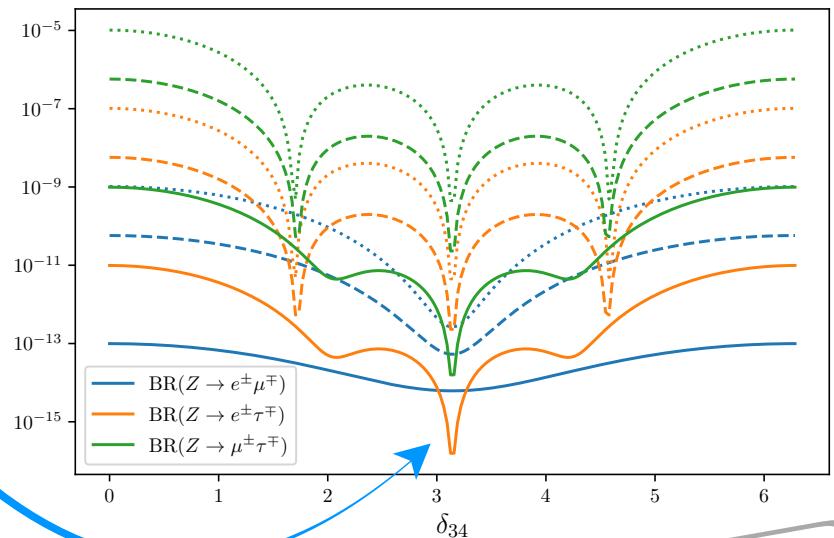
Strong dependence on **Dirac CPV phase** (δ_{34})

Possibility of decay rate suppressions

Abada, Kriewald, EP, Rosauro, Teixeira [2207.10109]



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Simplified

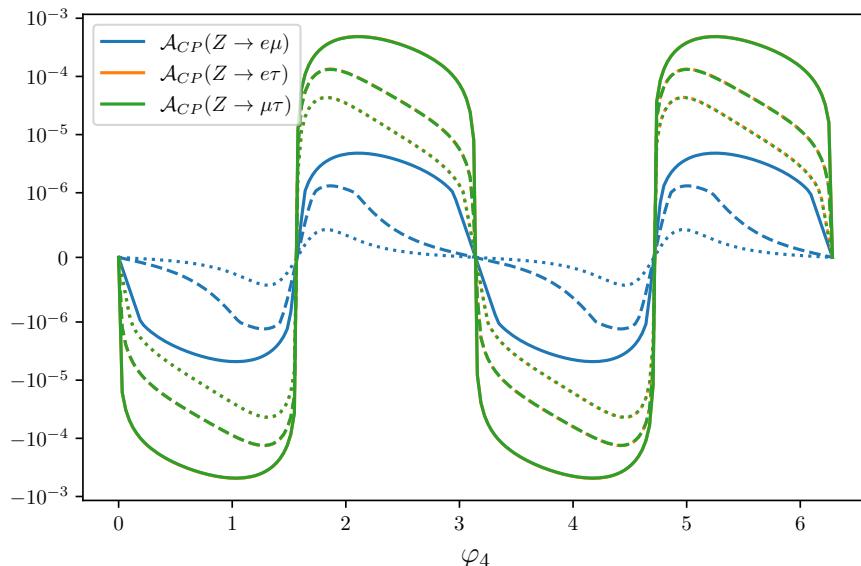
- 1 TeV
- - 5 TeV
- 10 TeV

Sensitivity to **Majorana CPV phase** (φ_4)

These effects are amplified for larger HNL masses

CP-asymmetries in $Z \rightarrow \mu\tau$

Abada, Kriewald, EP, Rosauro, Teixeira [2207.10109]

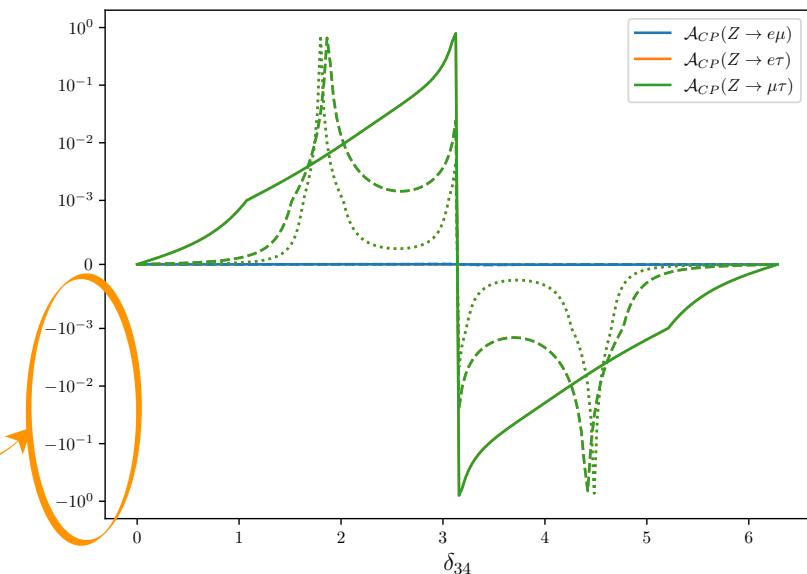


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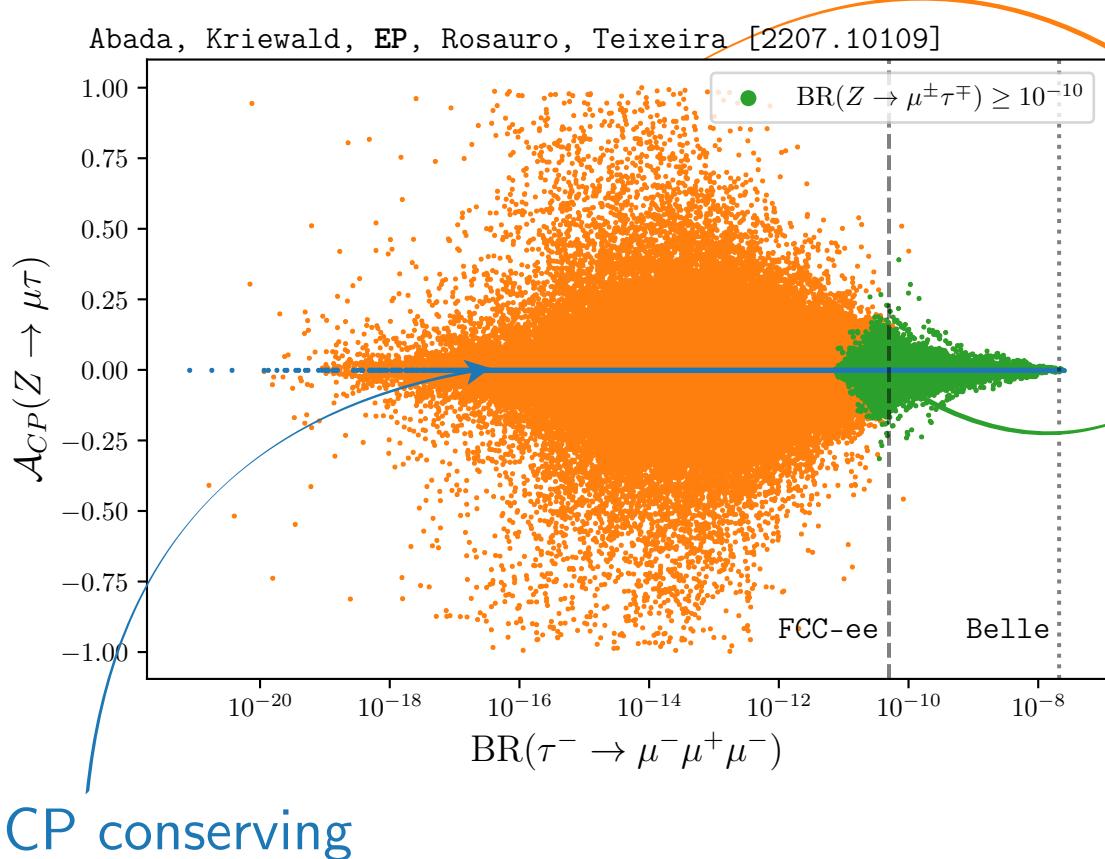
Impact of Majorana
CPV phases

Impact of Dirac
CPV phases!

Can lead to very large
CP-asymmetry!



Varying all **CPV phases** associated with the **sterile states** randomly



Full analysis

\mathcal{A}_{CP} can be as **large** as **100%**

$Z \rightarrow \mu\tau$ and $\tau \rightarrow 3\mu$
within **future sensitivity!**

Associated \mathcal{A}_{CP}
up to **20%**

Active mixings ($\theta_{\alpha\beta}$) and Dirac CPV δ_{13} : Central values of NuFIT 5.1 results

Active-sterile mixing angles $\theta_{\alpha 4,5}$ constrain from **low-** and **high-**energy observables:

(Semi-)leptonic τ decays } Construct ratios;
 Light mesons leptonic decays } sensitivity to **modified** $W\ell\nu$ vertex

$$R_W^{\ell_1 \ell_2} = \frac{\Gamma(W \rightarrow \ell_1 \nu)}{\Gamma(W \rightarrow \ell_2 \nu)} \quad \Gamma(Z \rightarrow \text{inv})$$

Upper bounds on the entries of η indirectly taking into account constraints from **modifications** of G_F , $\sin^2 \theta_w$ and M_W

Bound on **HNL decay width** to comply with perturbative unitarity
 \implies bound on sterile **masses** and **couplings to active states**

$0\nu2\beta$: upper limit on the **effective mass** m_{ee} from KamLAND-ZEN

For TeV-scale HNL, collider searches and cosmological bounds are not competitive

Overview of the parameter space

Heavier masses: assumed to be **sufficiently close** to allow for **interferences**

→ Fix m_4 and take random values of m_5 from half-normal distributions
(*scale representative of the sterile states width*)

Active-sterile mixing angles: **independently** varied & randomly varying signs

For $m_4 = 5 \text{ TeV}$, the range of parameters
to be explored is:

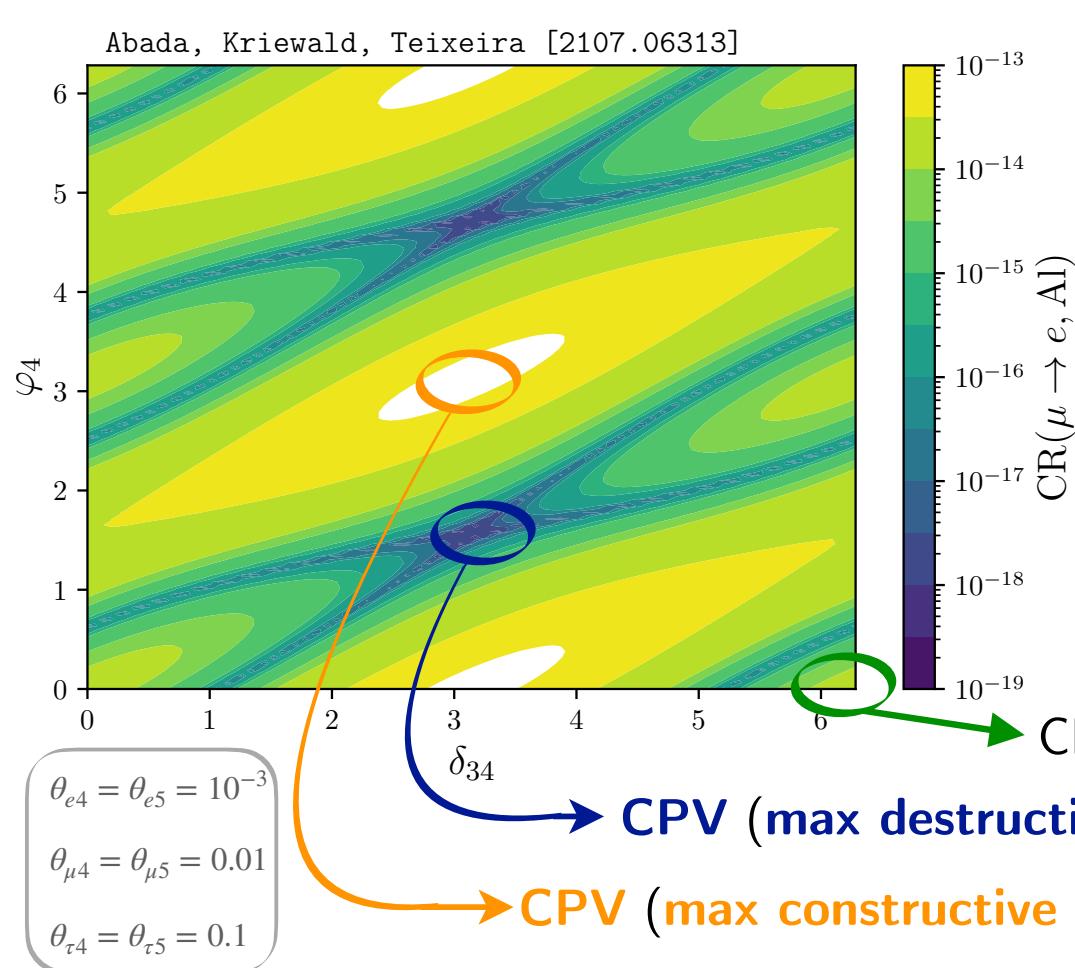
$$\begin{aligned} m_5 - m_4 &\in [10 \text{ MeV}, 1 \text{ TeV}], \\ |\sin \theta_{14,15}| &\in [6.0 \times 10^{-5}, 6.0 \times 10^{-3}], \\ |\sin \theta_{24,25}| &\in [1.9 \times 10^{-4}, 0.036], \\ |\sin \theta_{34,35}| &\in [8.3 \times 10^{-4}, 0.13]. \end{aligned}$$

⇒ Correspond to regimes complying with **experimental data** for the **CP conserving case**

Analysis: Select randomly 10^4 points (consistent with experimental data), vary all **CPV phases** associated with sterile states $\delta_{\alpha 4,5}$, $\varphi_{4,5}$ for each tuple of mixing angles.

Consider only regimes that do not lead to **cLFV predictions** far away from the corresponding **future experimental sensitivity**

cLFV: $\mu - e$ conversion in nuclei with **CPV Dirac and Majorana phases**
toy model 3 + 2 heavy sterile, simplified approach $\sin \theta_{\alpha 4} = \sin \theta_{\alpha 5}$, $m_4 = m_5 = 1$ TeV



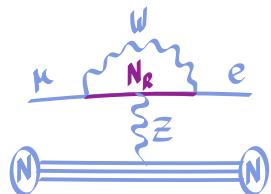
Both **destructive** and **constructive** interference effects

Joint effect of **Dirac** (δ_{34}) and **Majorana** (φ_4) **CPV phases**

⇒ From beyond experimental sensitivity...
to within future reach...
and even already excluded!

Ratios of cLFV observables to identify mediators & constrain their masses

$\mu - e$ conversion



vs.



But **CP violating phases do matter!** And impact naïve expectations....

