

# Experimental signatures of subtleties in the Brout-Englert-Higgs mechanism

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23<sup>rd</sup> of March 2023  
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Italy



**NAWI Graz**  
Natural Sciences

**FWF**

Der Wissenschaftsfonds

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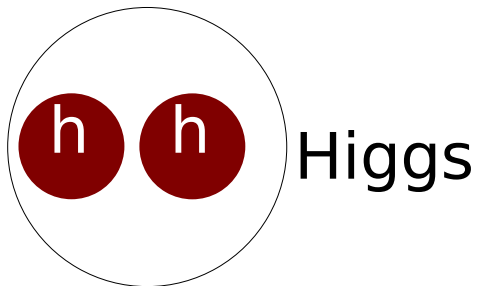
- 1970<sup>ies</sup>/1980<sup>ies</sup>: Field theory of BEH effect
  - Electroweak symmetry breaking is not a physical effect
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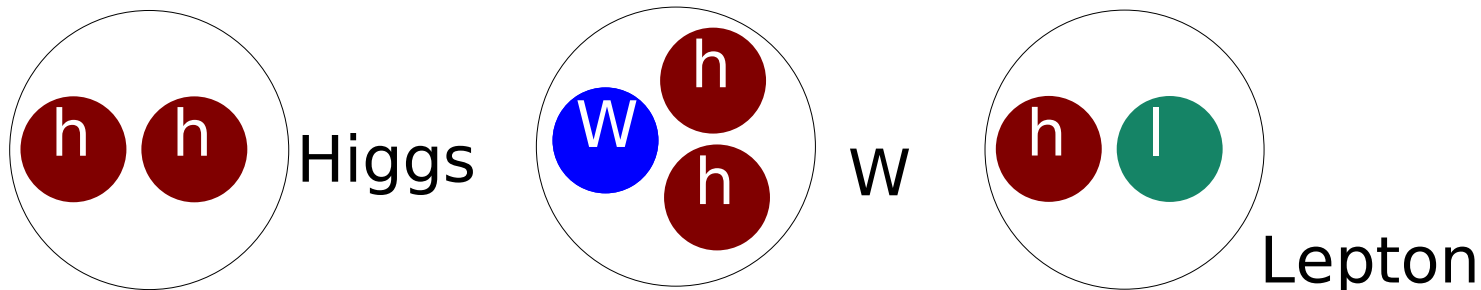
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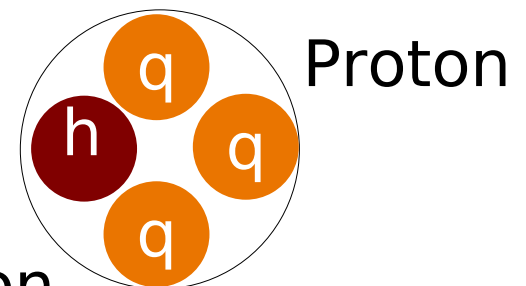
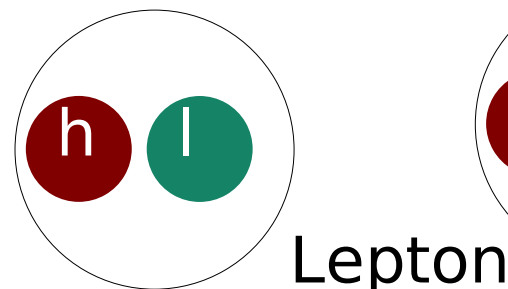
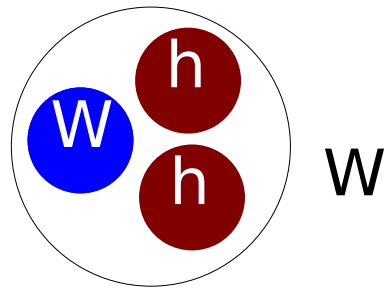
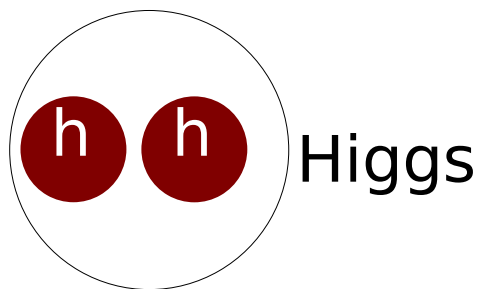
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  - Augments perturbation theory
    - Composite asymptotic states
    - Additional expansion in the Higgs vev

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Higgs field

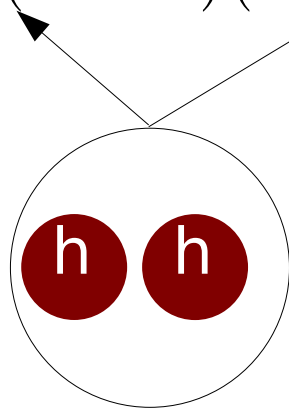


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Trivial two-particle state

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# Test on the lattice

[Afferrante, Maas, Sondenheimer, Törek'20]

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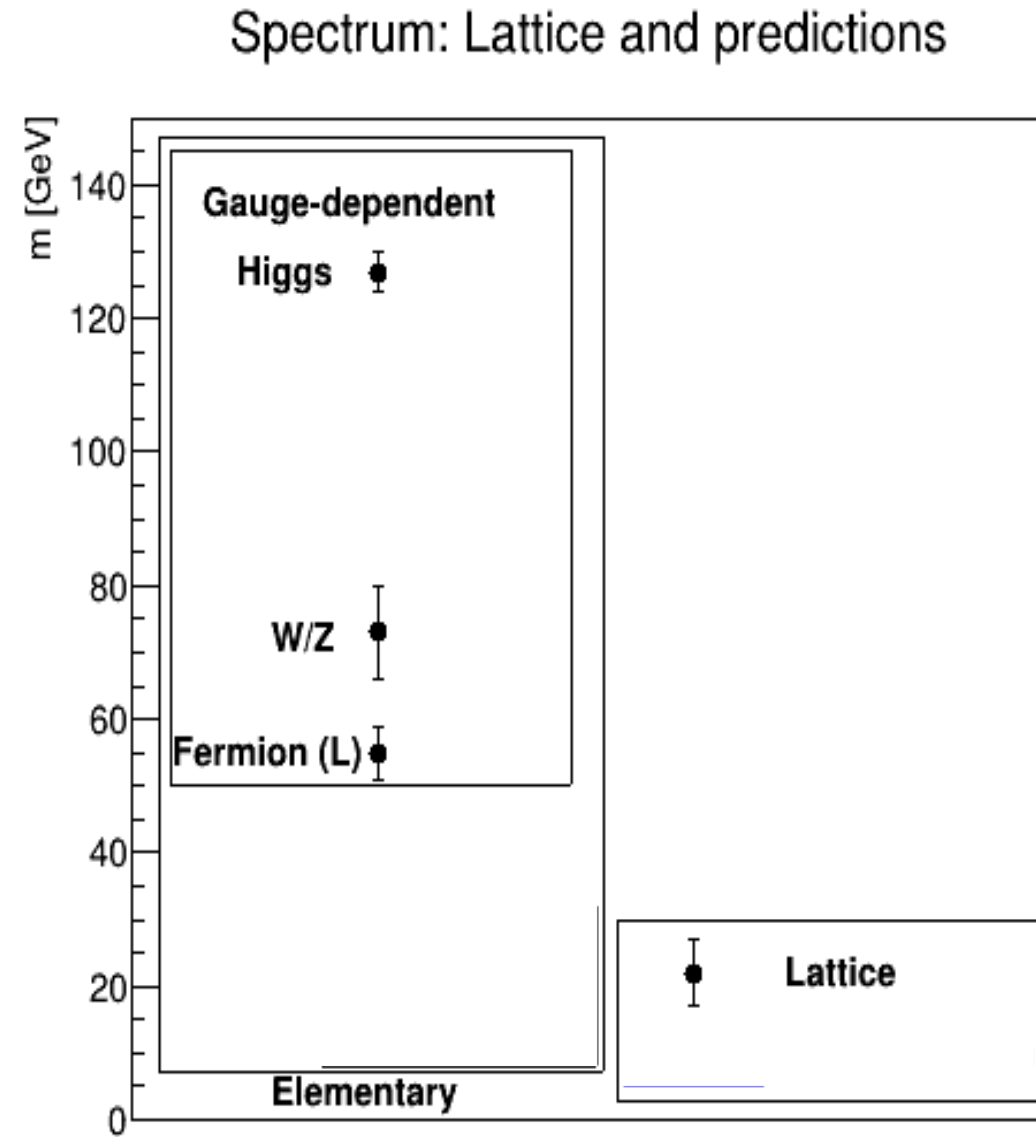
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  - Degenerate leptons and neutrinos
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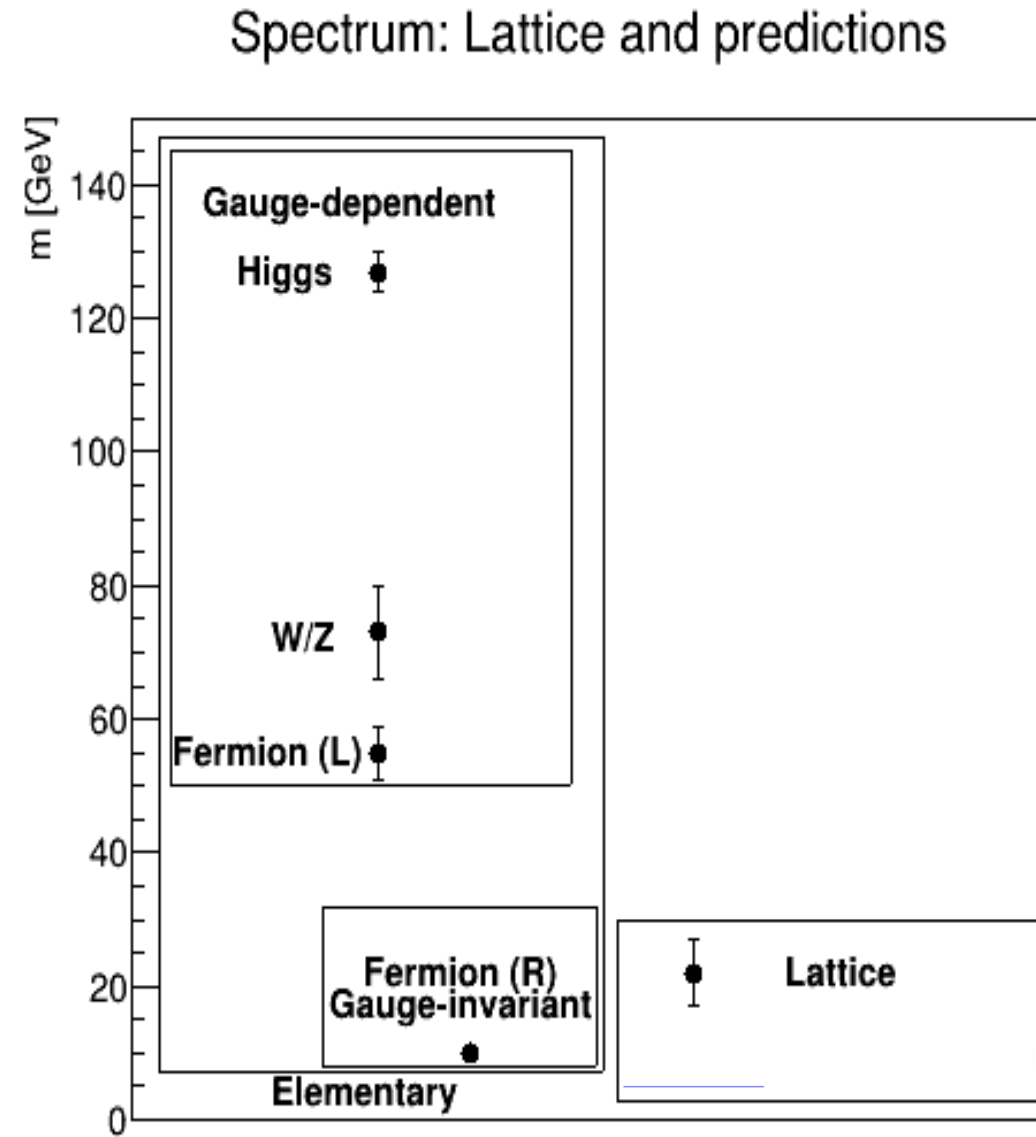
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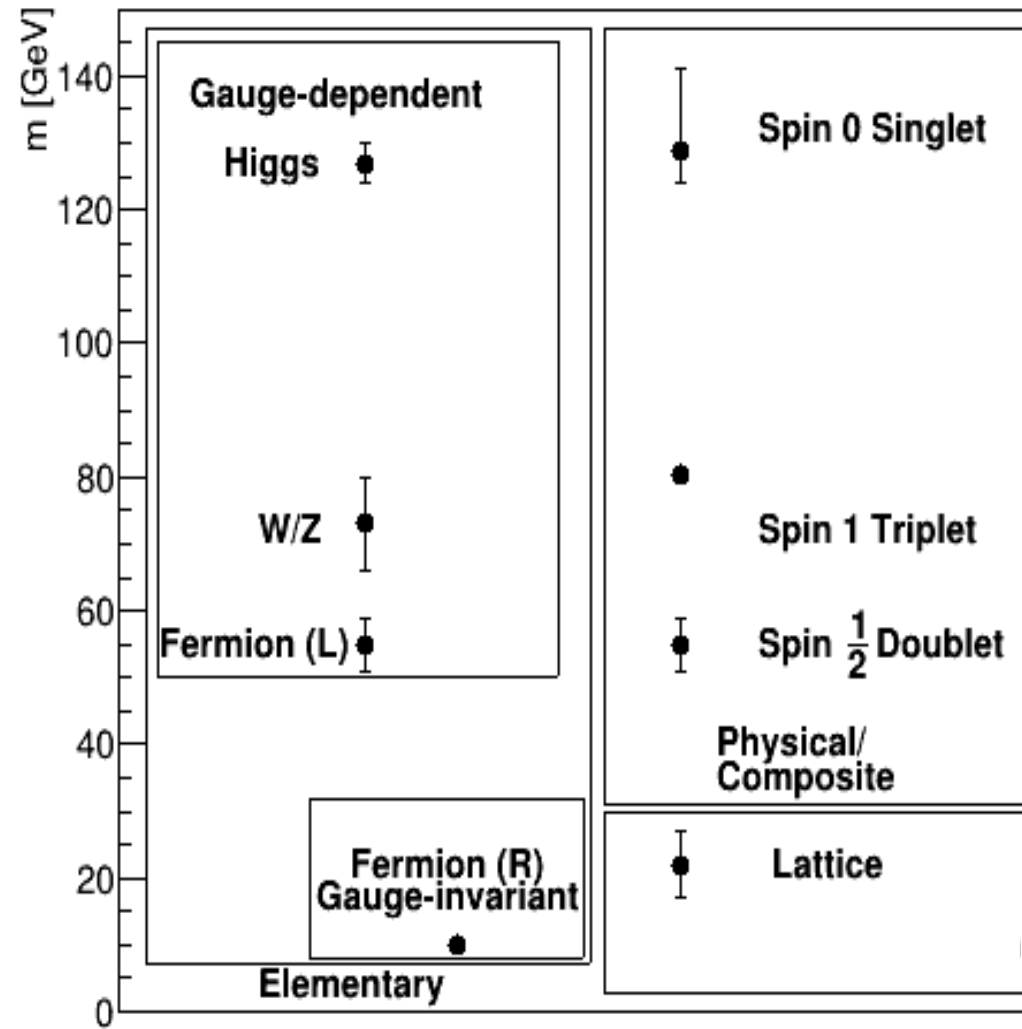
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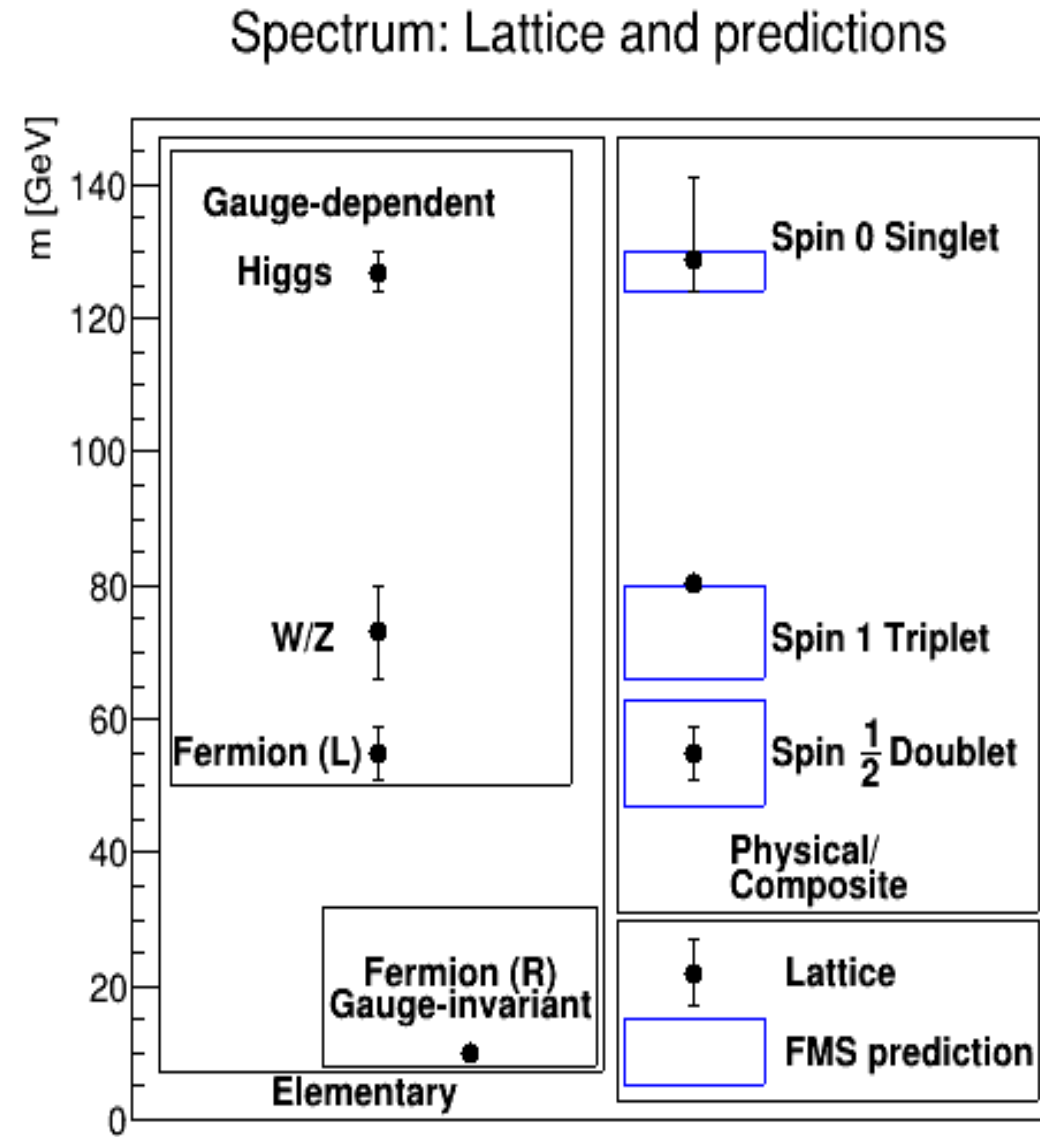
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Spectrum: Lattice and predictions



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  - Flavor and custodial symmetry structure
- Supports augmented perturbation theory



# Augmented perturbation theory

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What about  
this? →

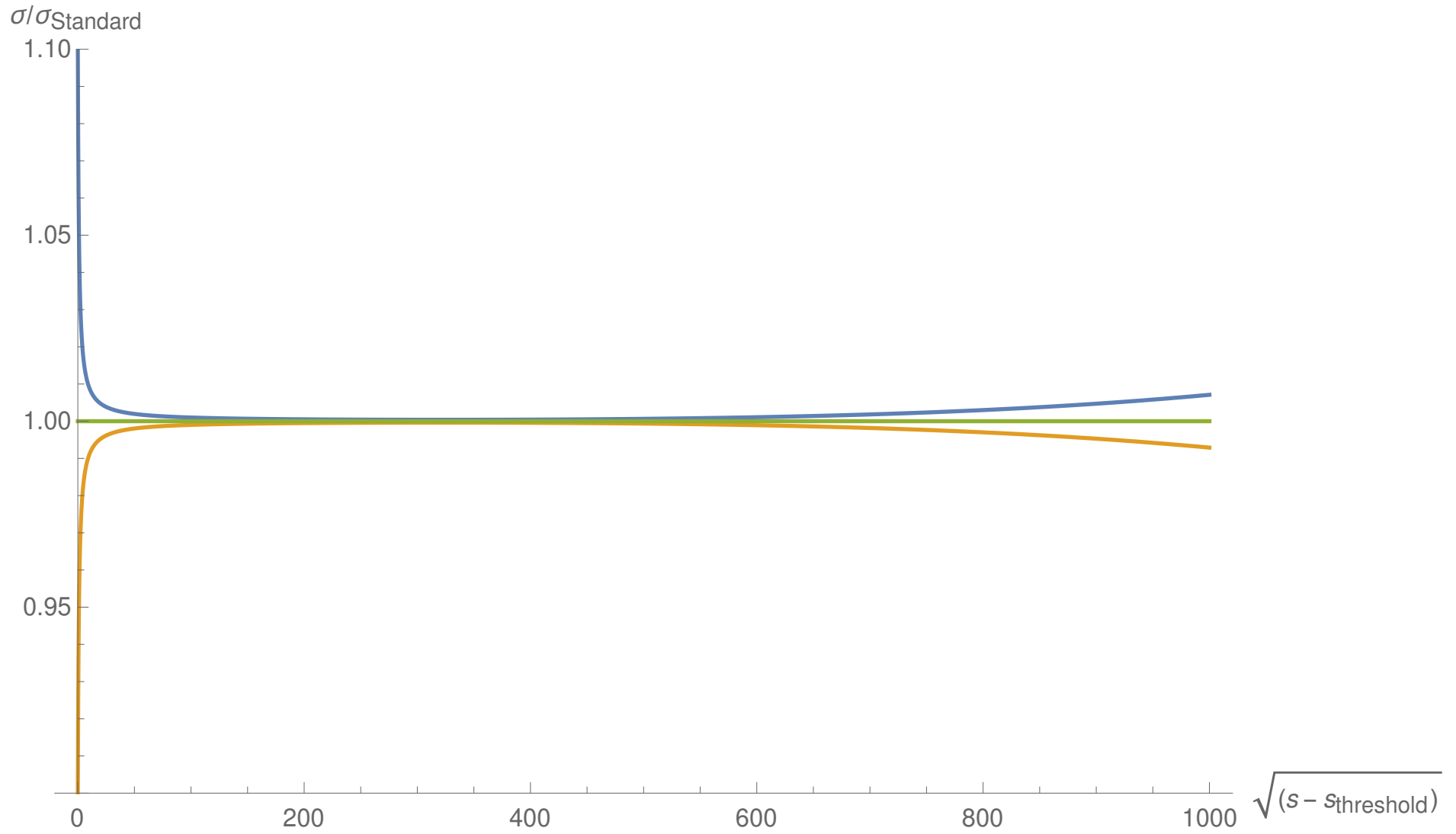
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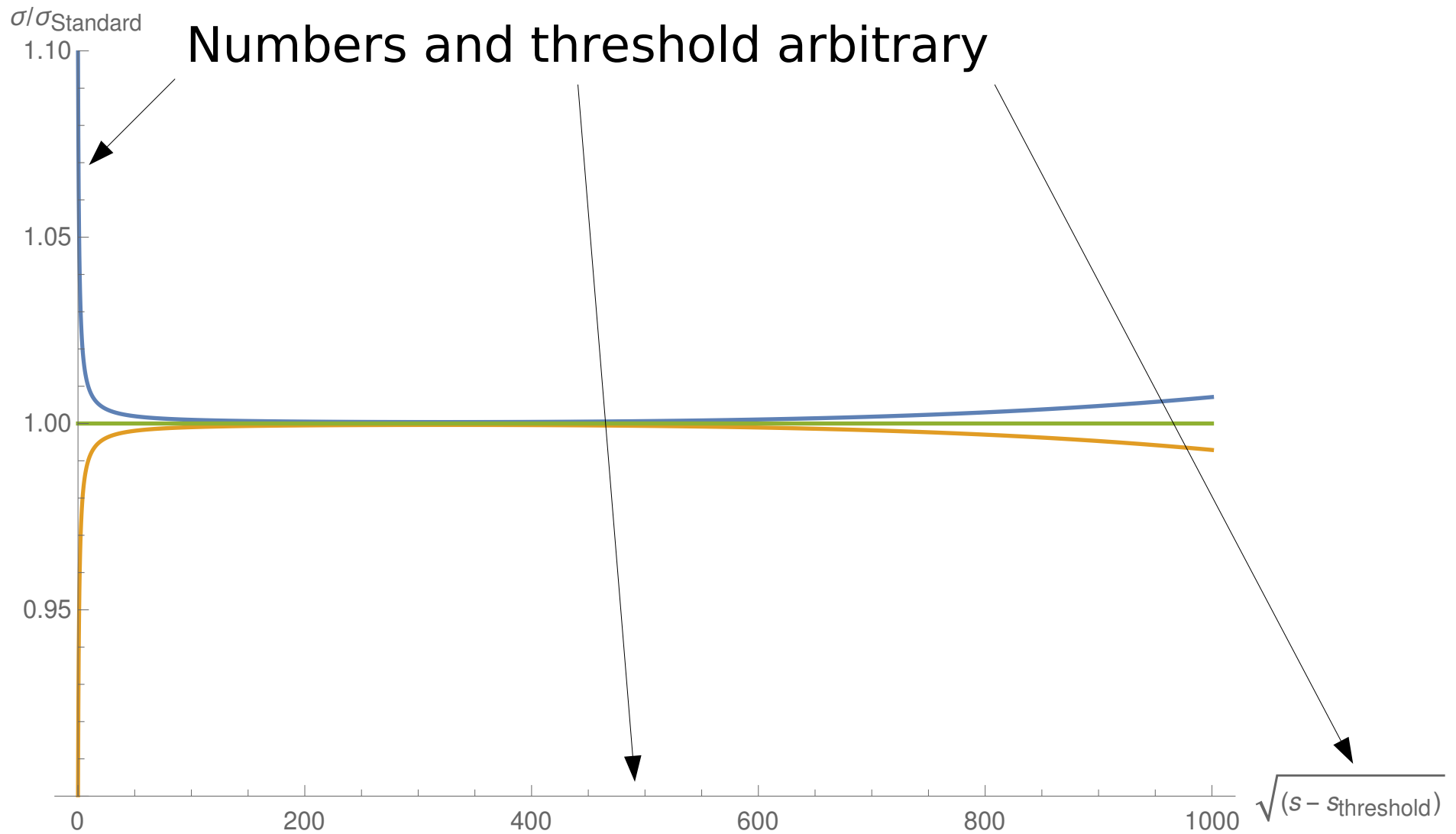
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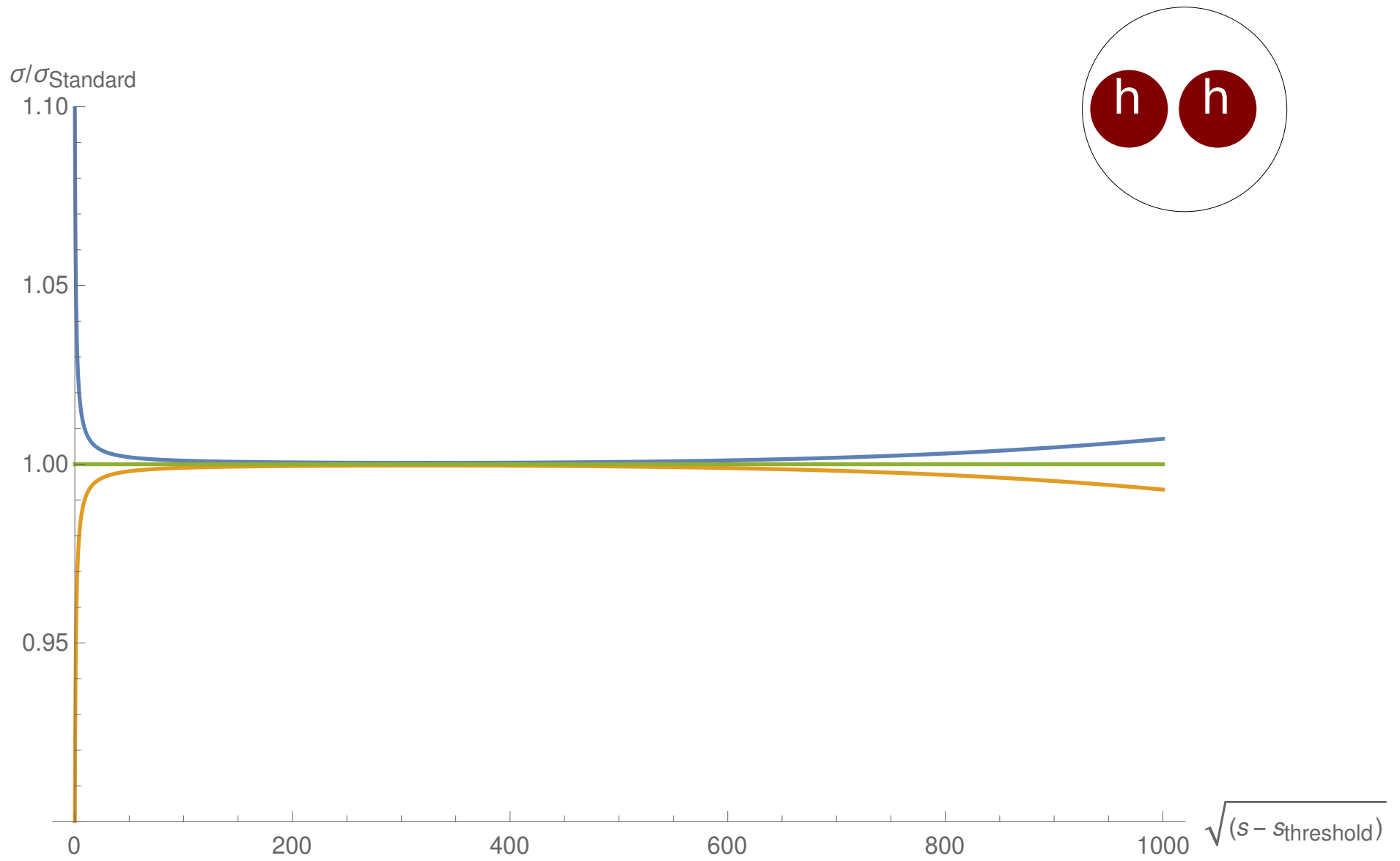
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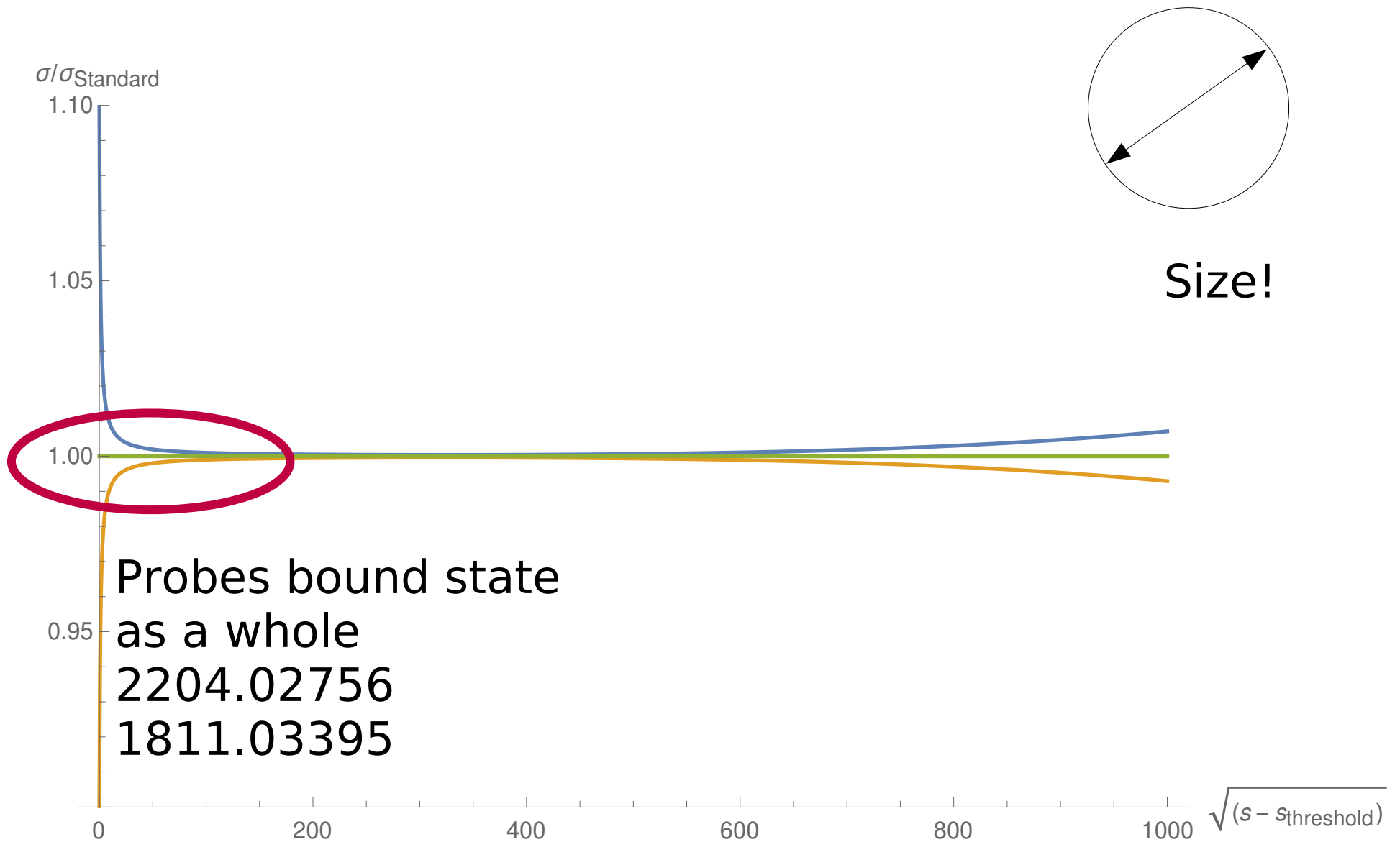
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# Radius from elastic scattering in VBS

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Partial wave amplitude  $\rightarrow f_J(s)$

Legendre polynomial  $\rightarrow P_J(\cos\theta)$

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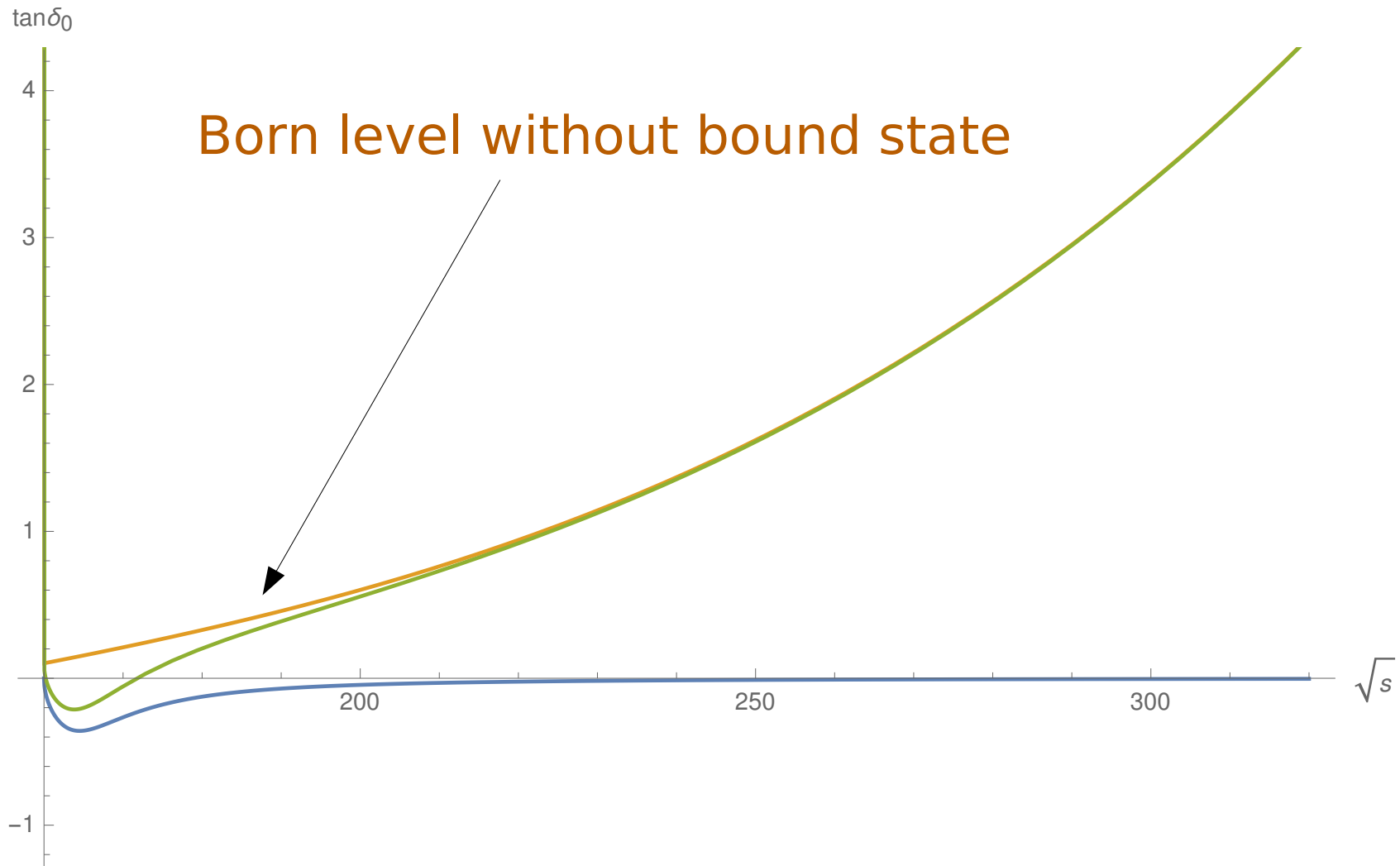
Scattering length ~ "size"

Phase shift

# Impact of the radius of the Higgs

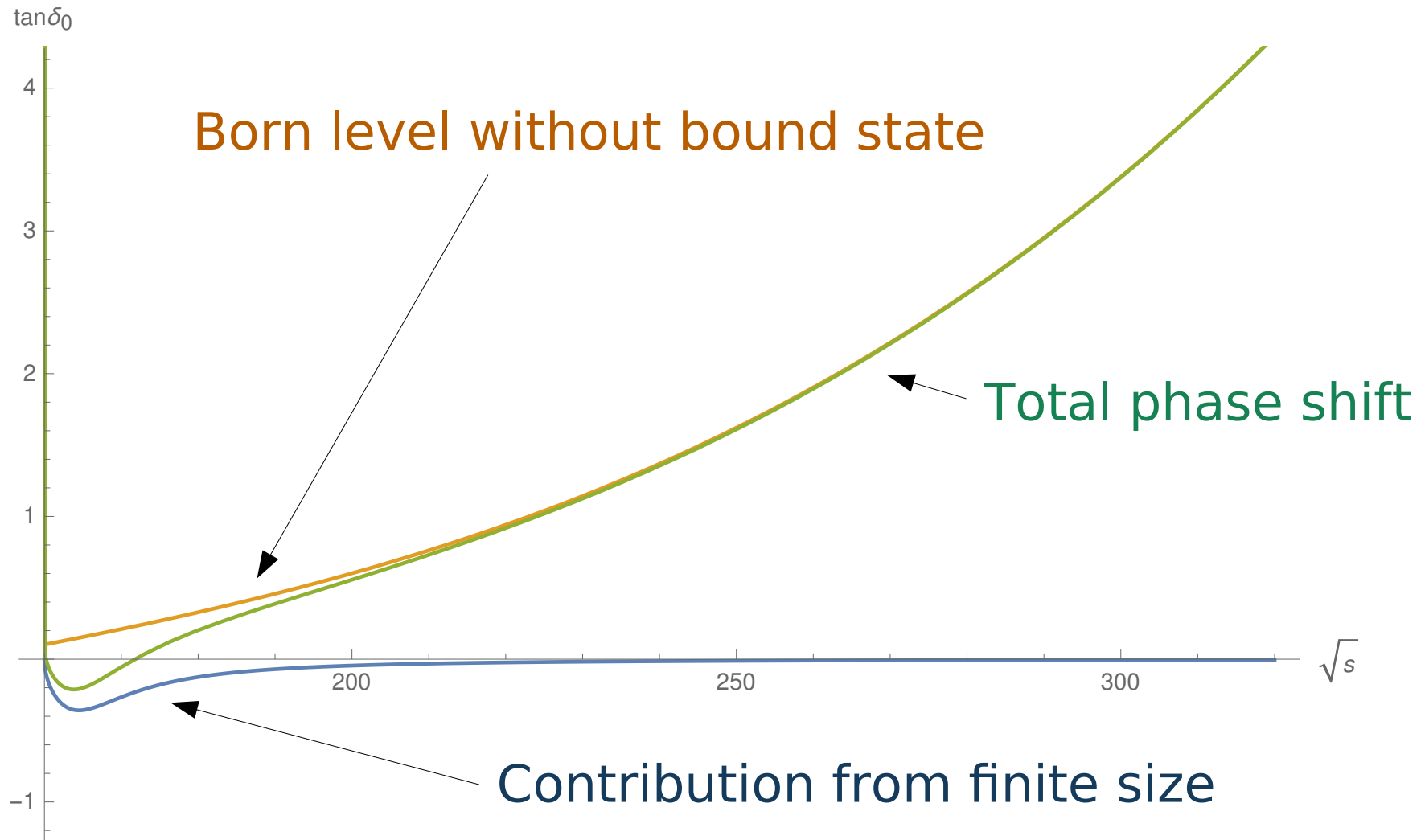
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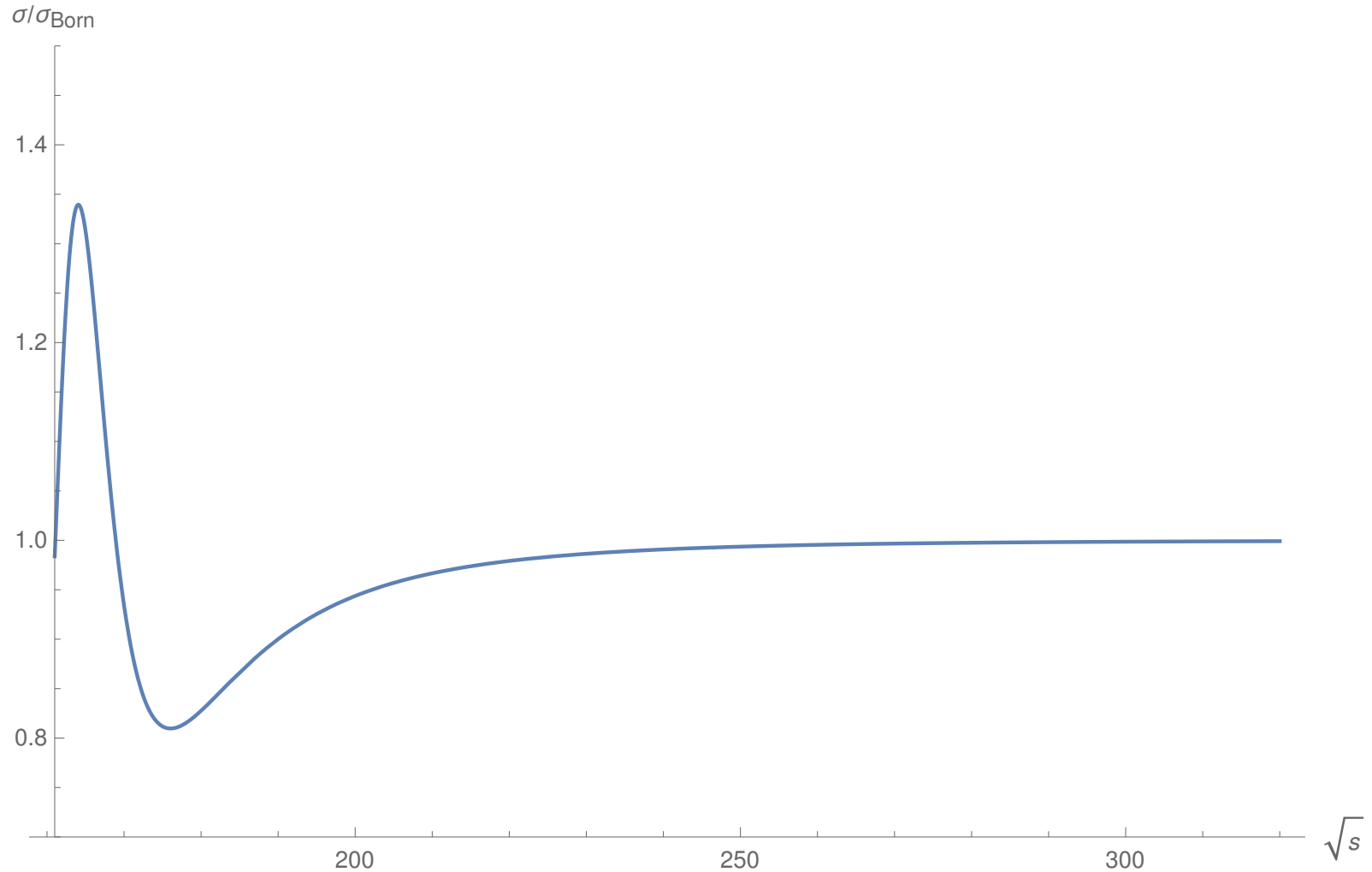
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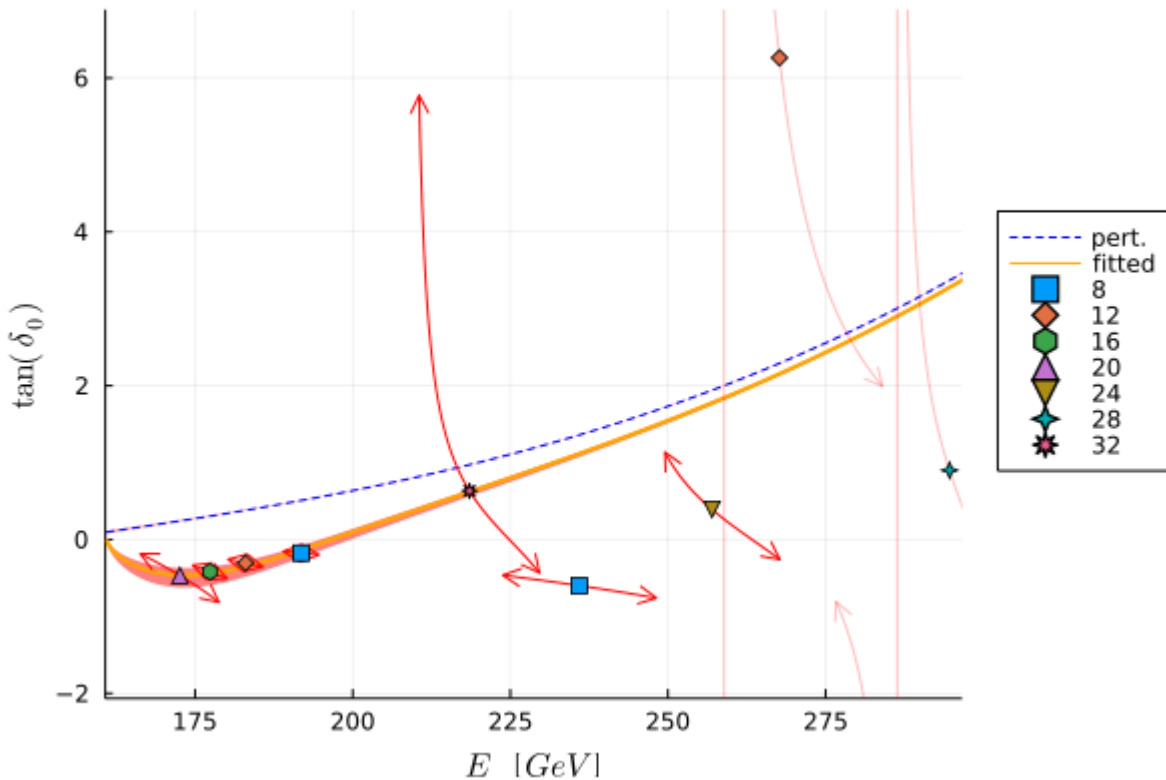
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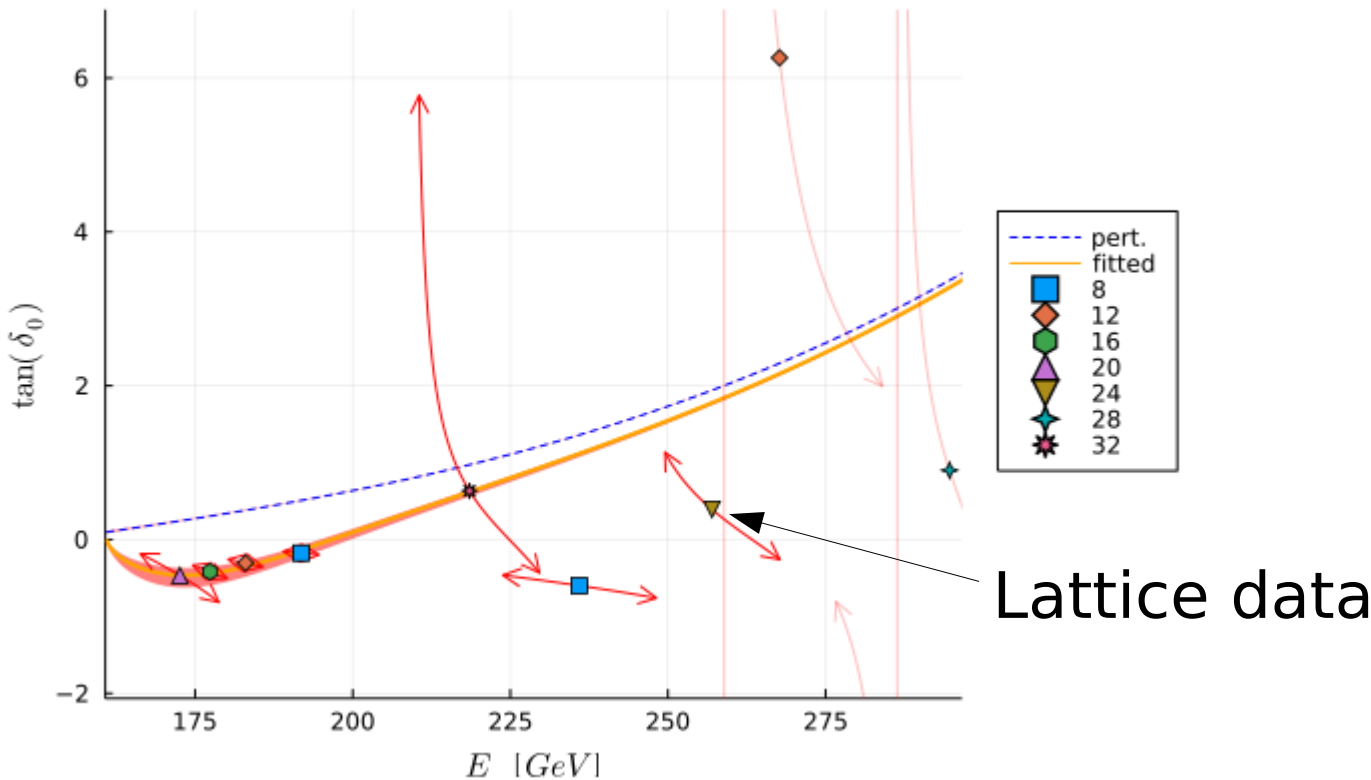


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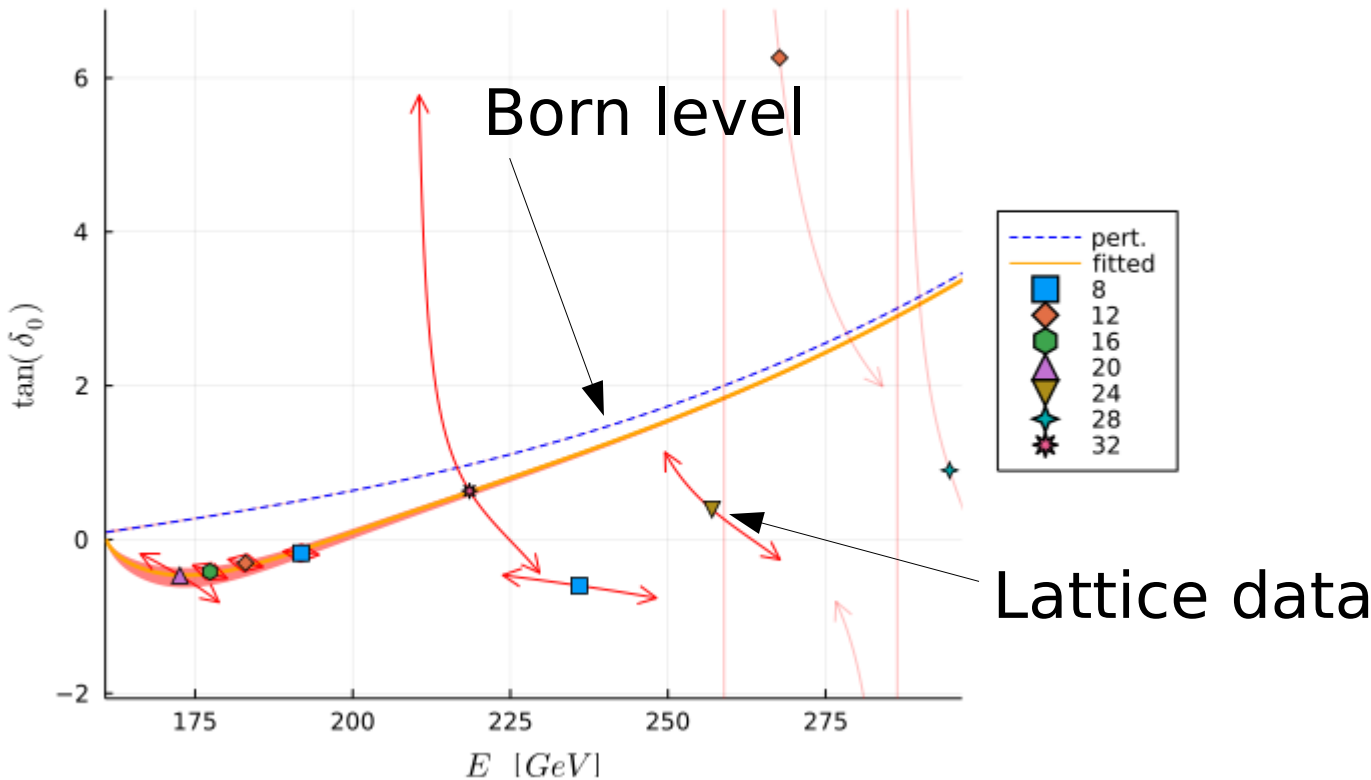
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  - Higgs too heavy and too strong weak coupling
  - Qualitatively but not quantitatively

# Impact of the radius of the Higgs

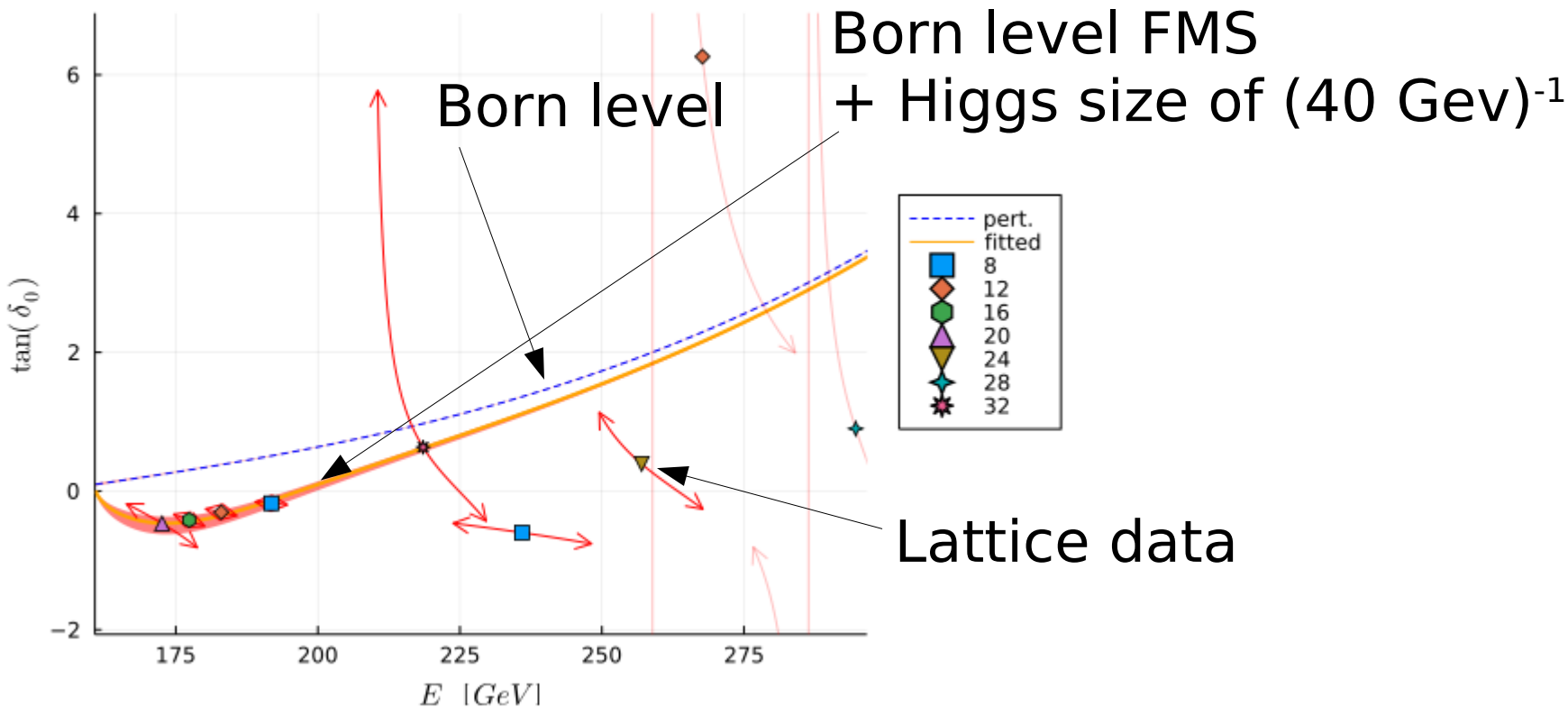
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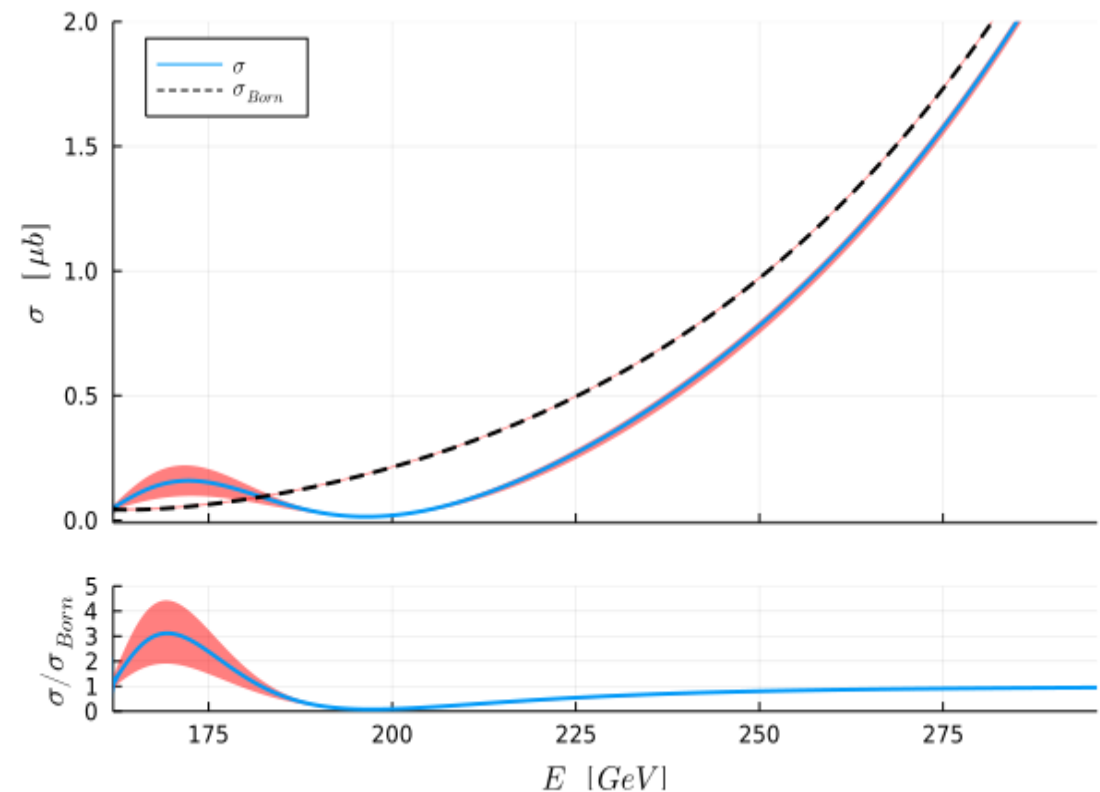
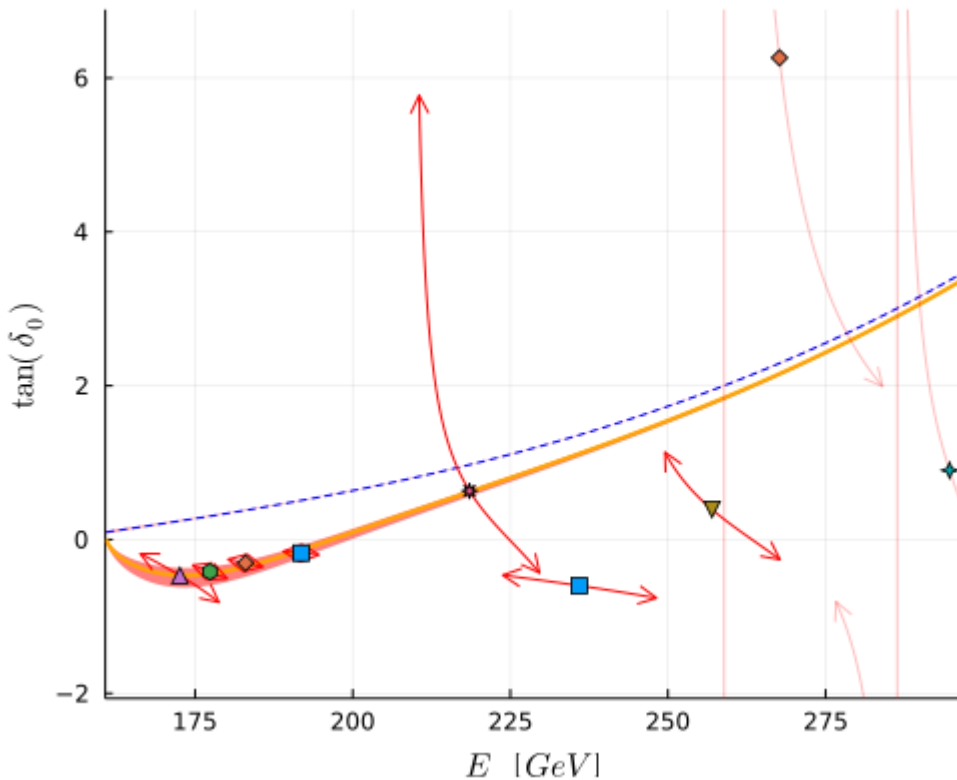
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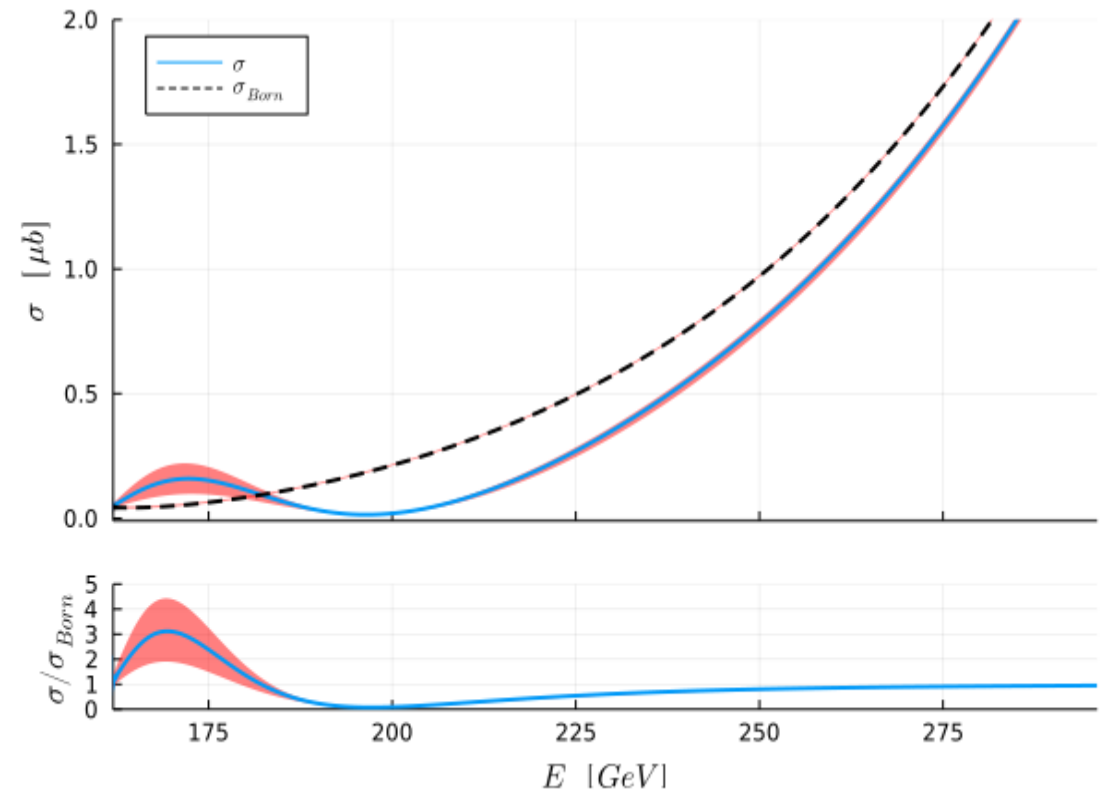
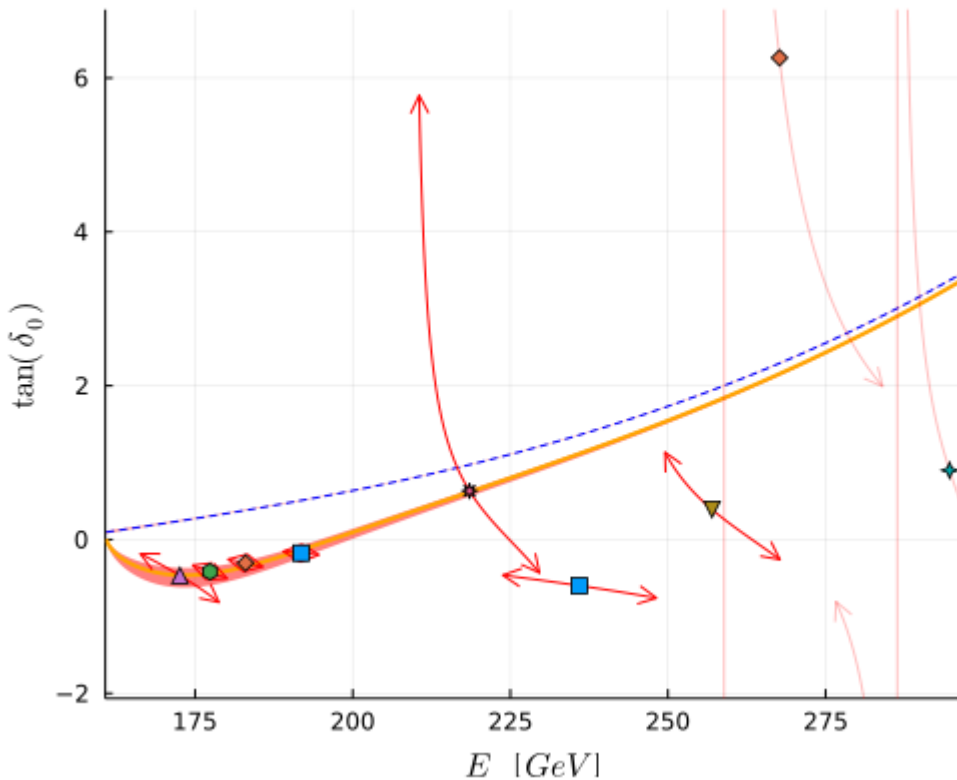
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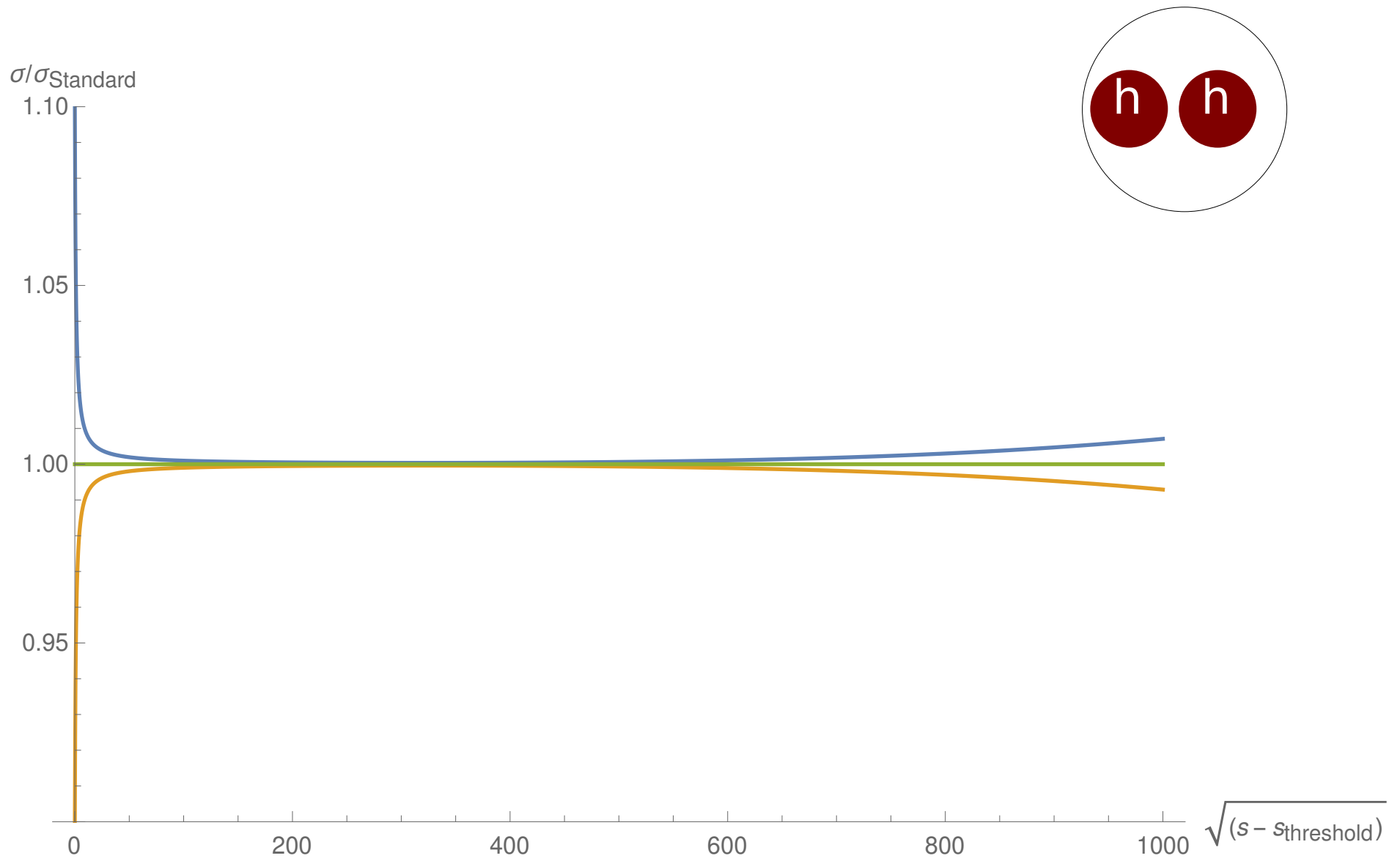
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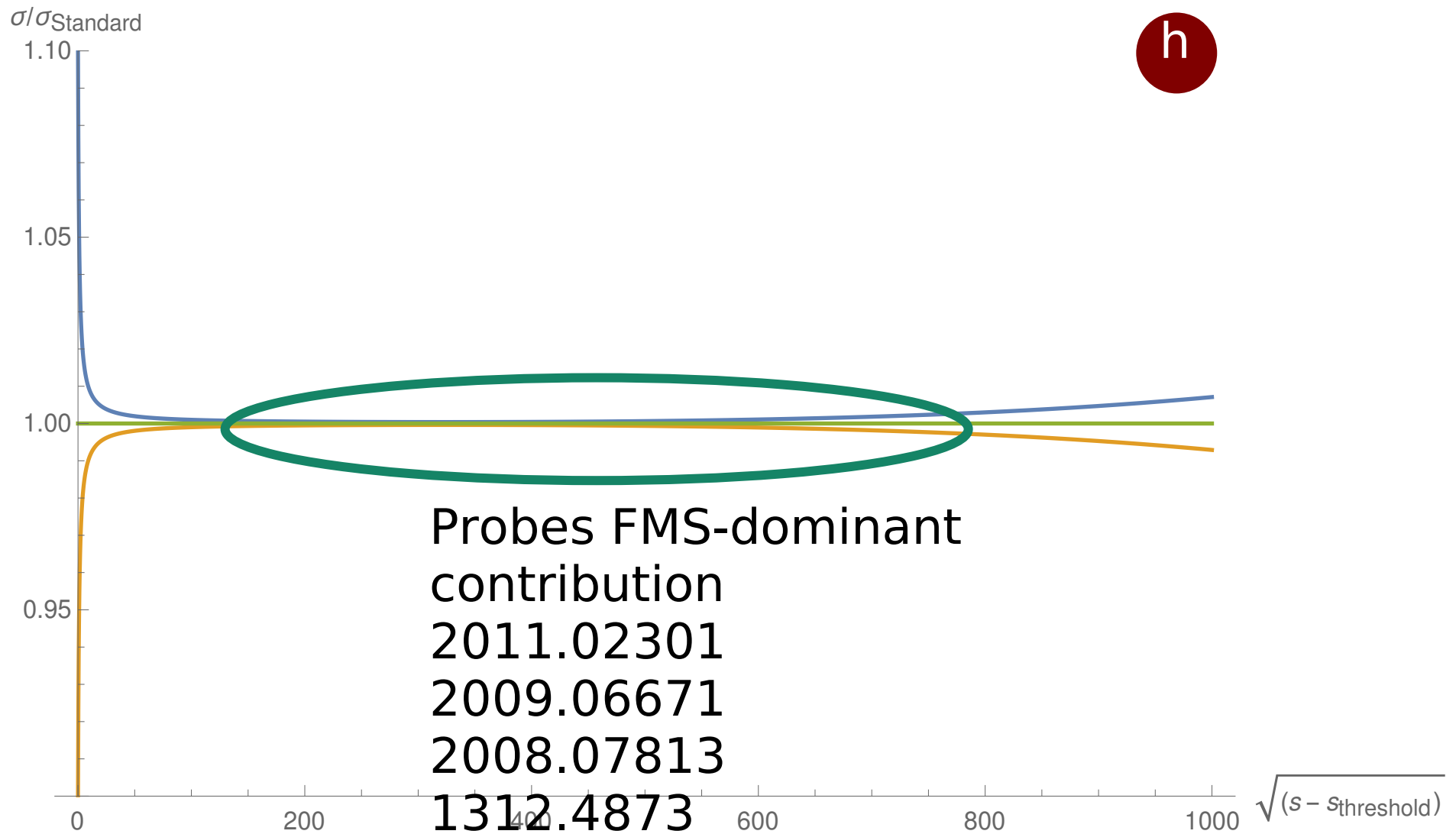


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- Trend seen in ATLAS/CMS off-shell  $ZZ \rightarrow 4l$  [Talks @Higgs 2022]
  - 1.11(7) 180-220 GeV (ATLAS)/ $\sim 0.8(2)$  220-275 GeV (CMS)

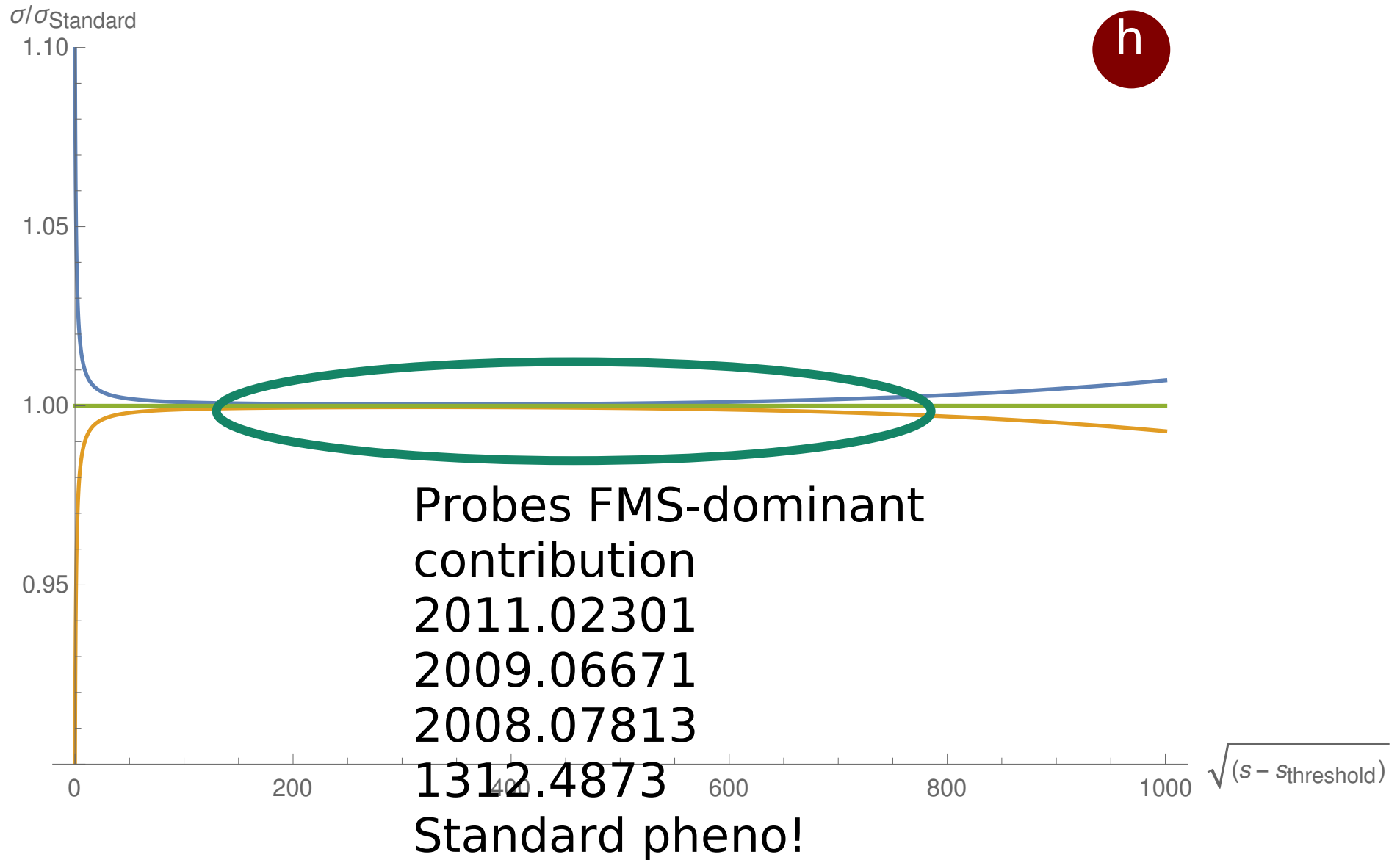
# Generic behavior: DIS-like



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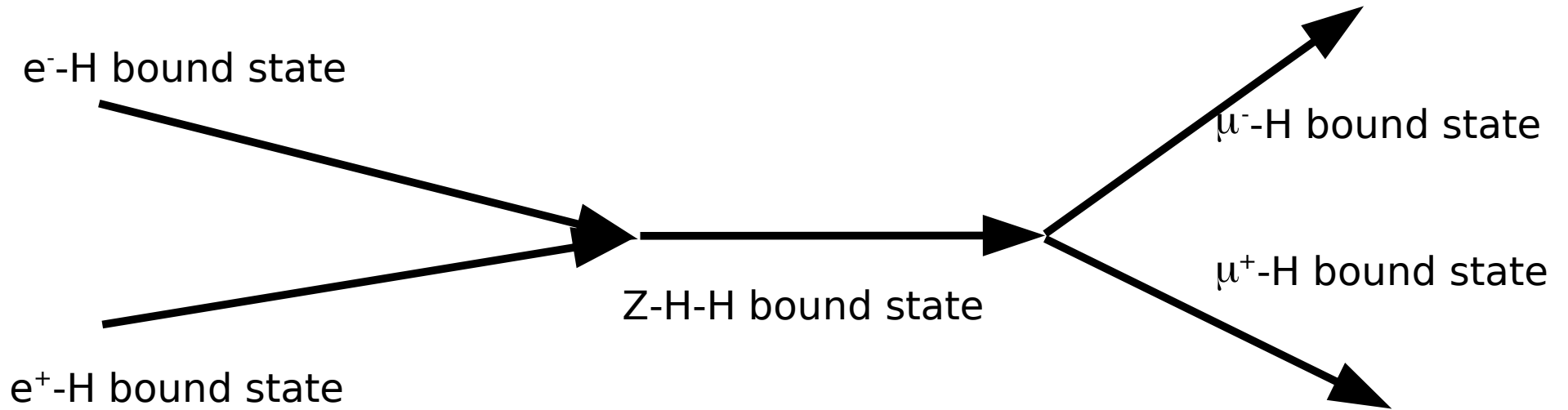
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# How events looks like (LEP/ILC)

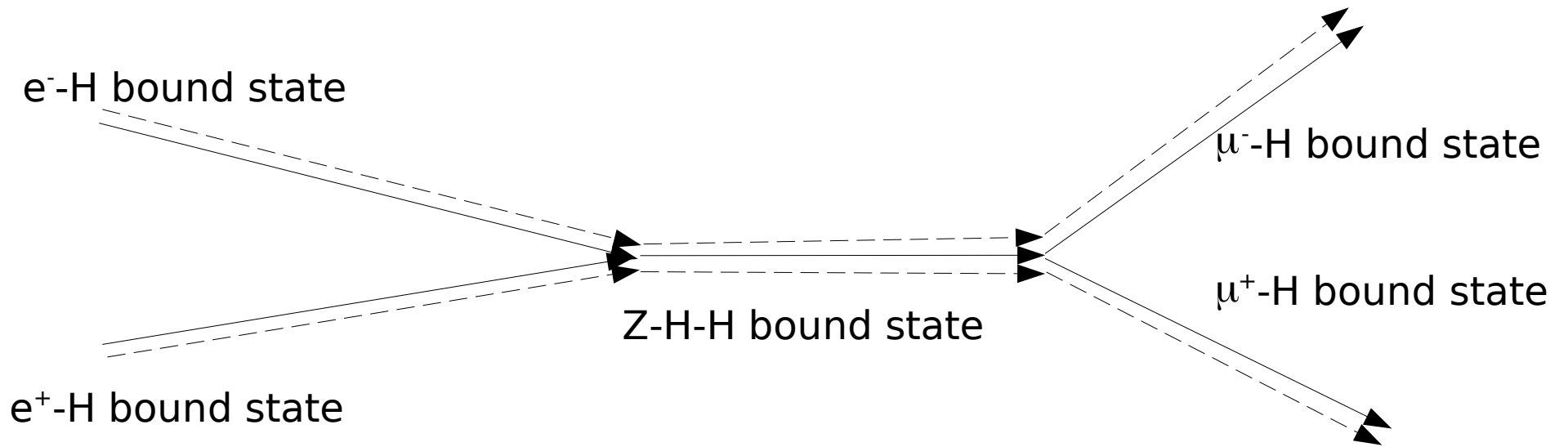
[Maas'12]



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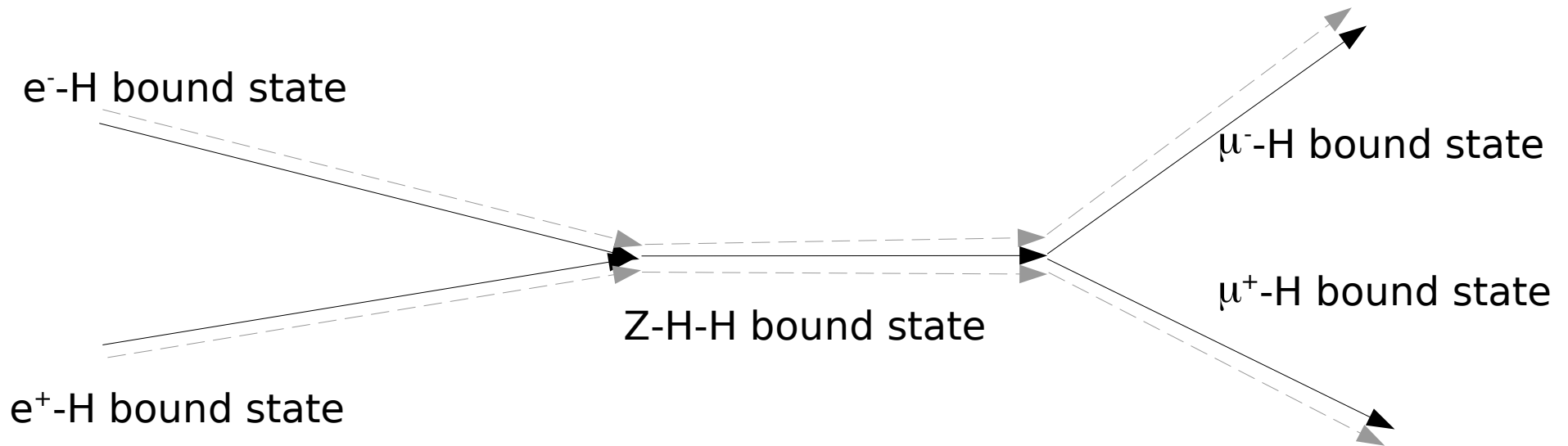
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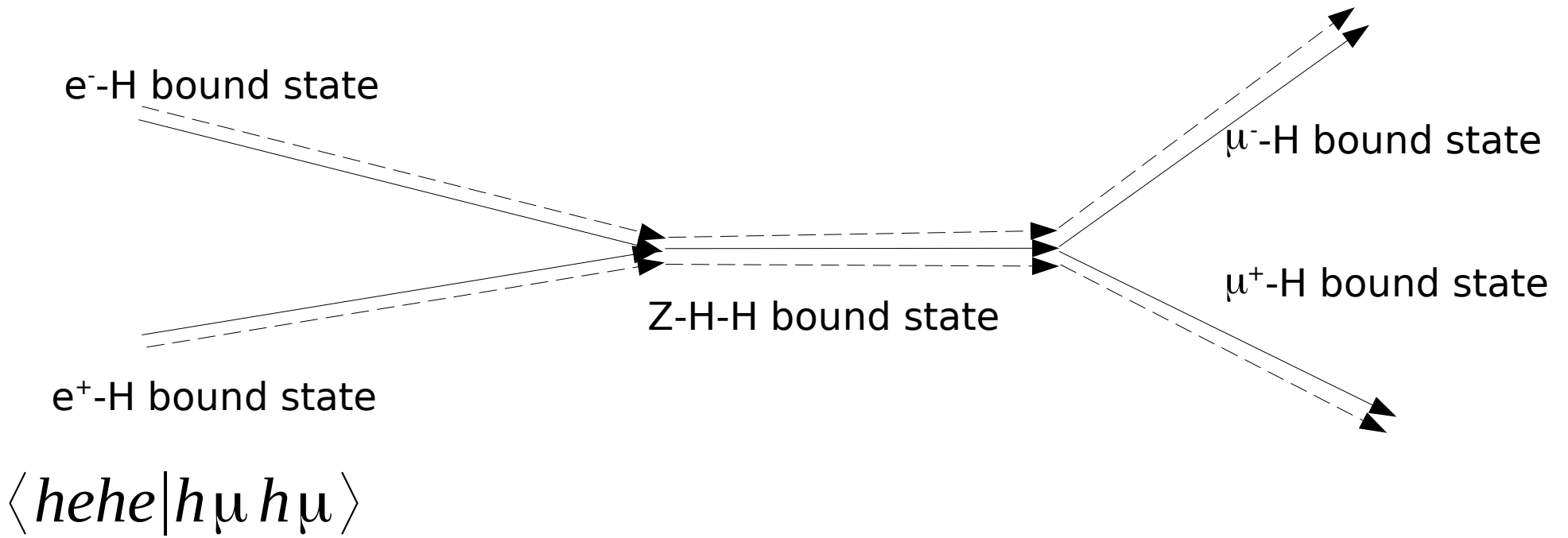
[Maas'12]



- Collision of bound states - 'constituent' particles
- Standard perturbation theory
  - Higgs partners just spectators
  - Similar to pp collisions

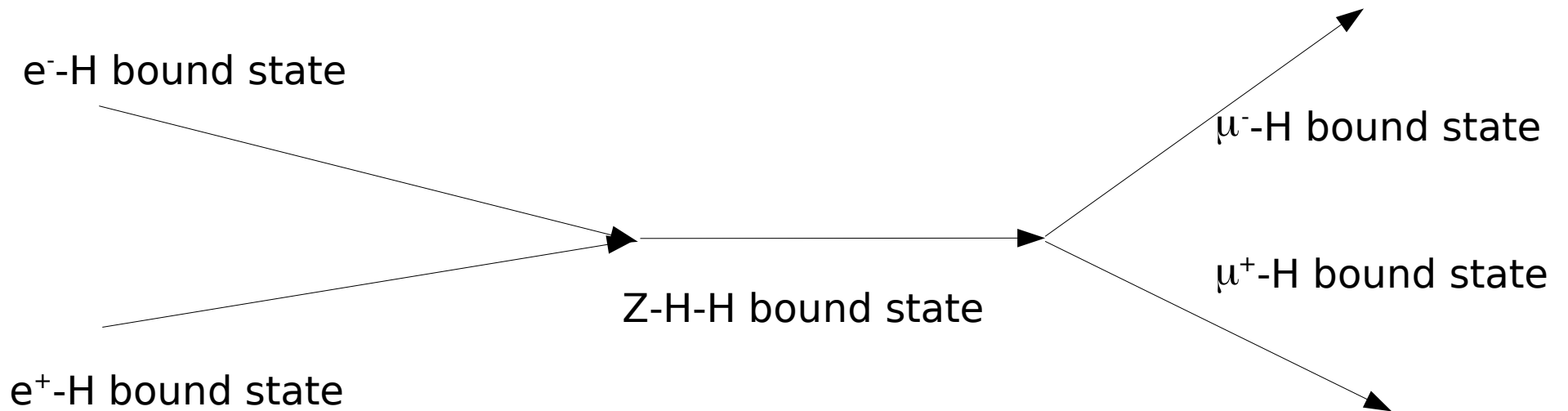
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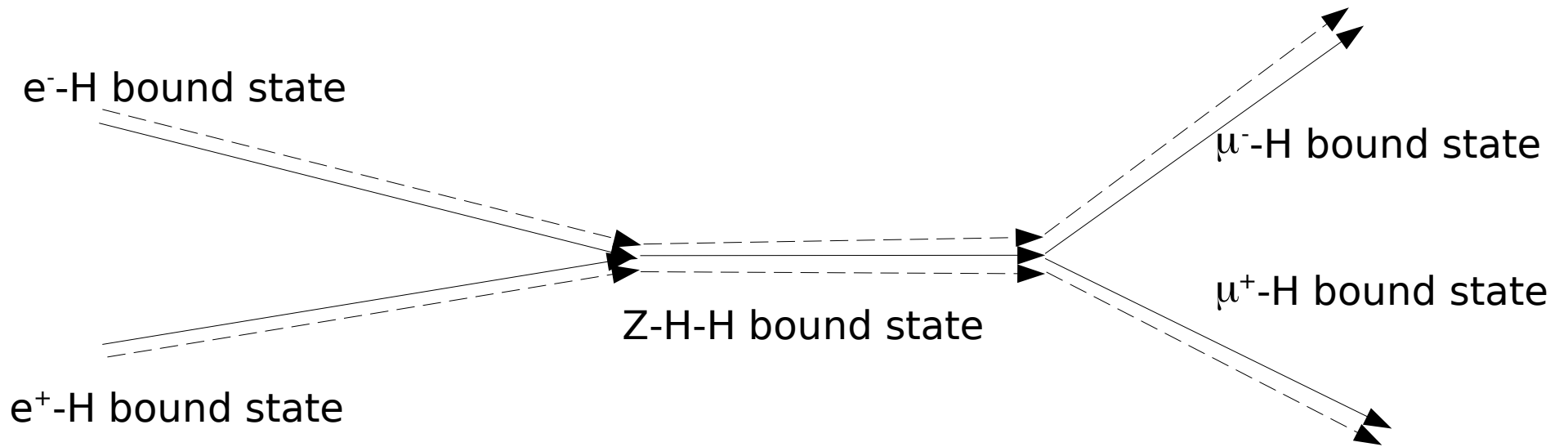


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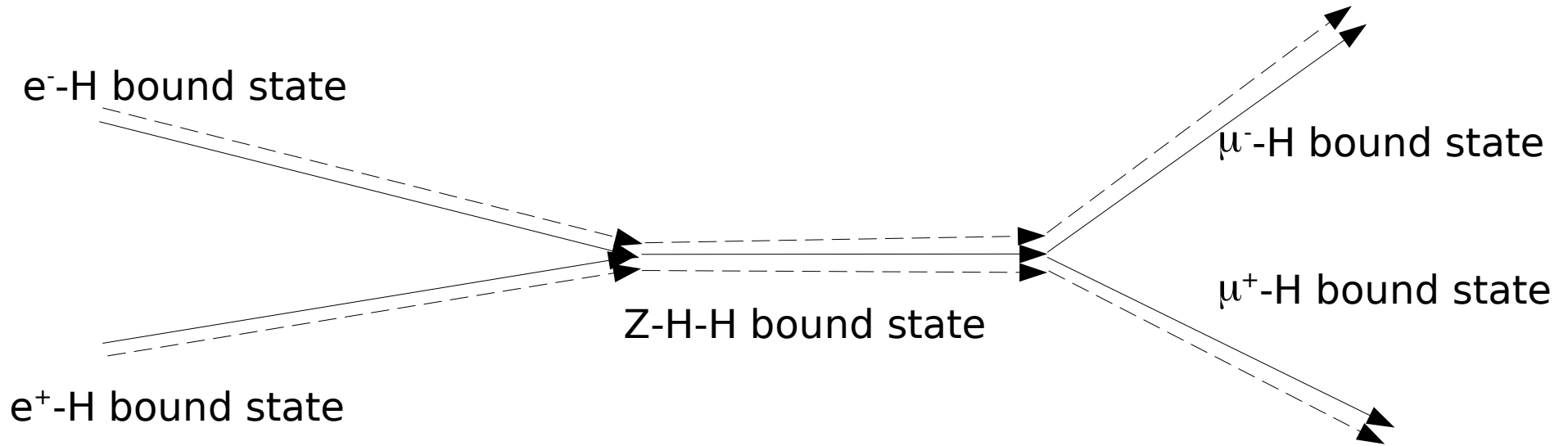


$$\langle hehe|h\mu h\mu \rangle = \langle ee|\mu\mu \rangle + \langle \eta\eta \rangle \langle ee|\mu\mu \rangle + \langle ee \rangle \langle \eta\eta|\mu\mu \rangle + \dots$$

NLO: 1525 diagrams+3431 diagrams

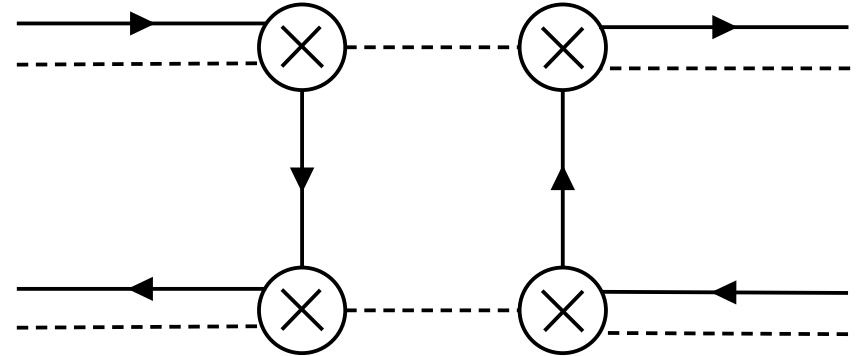
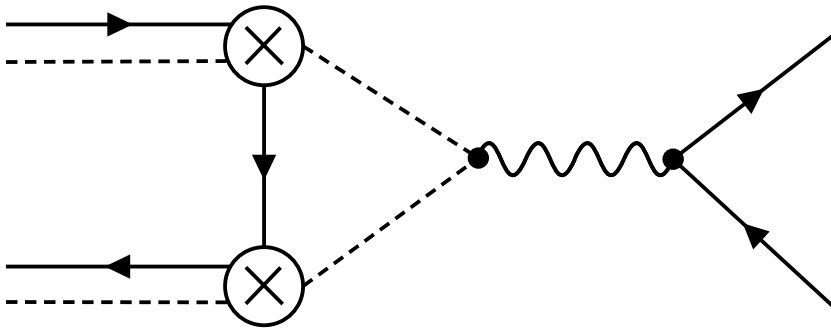
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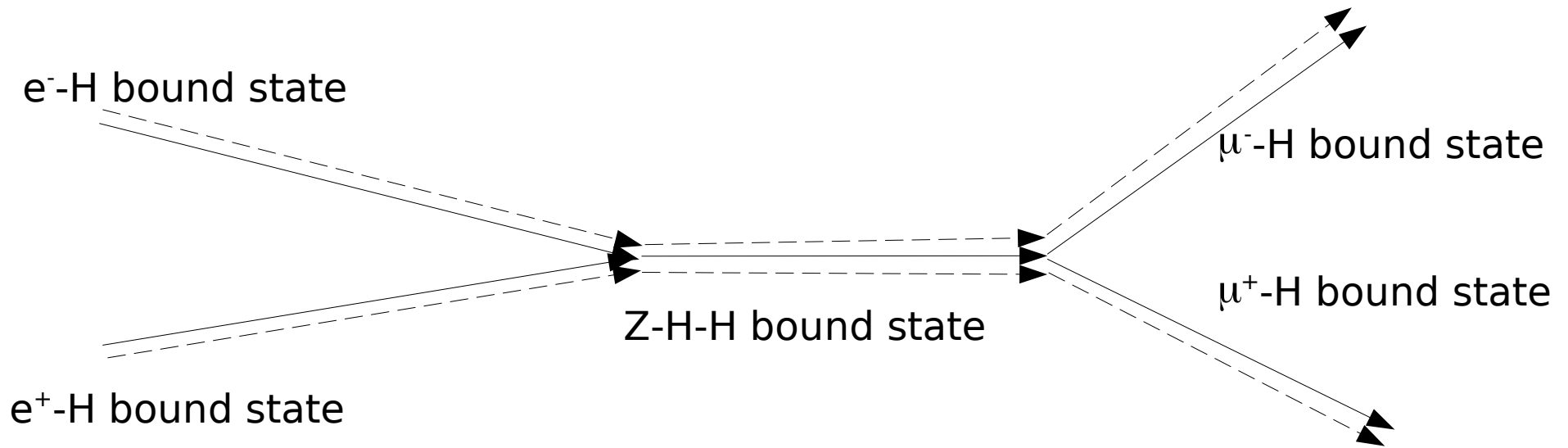
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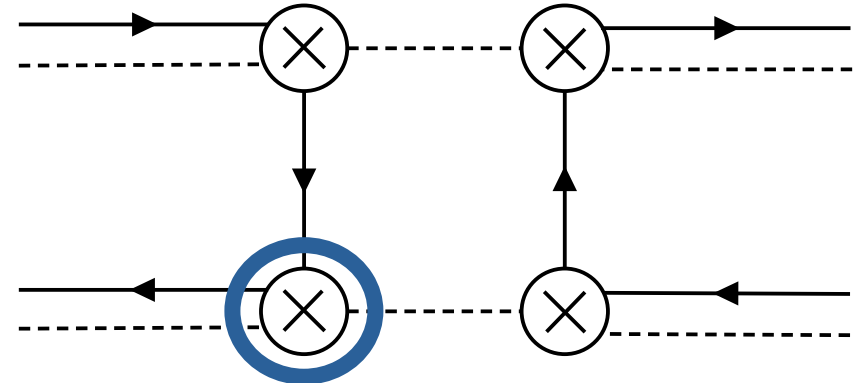
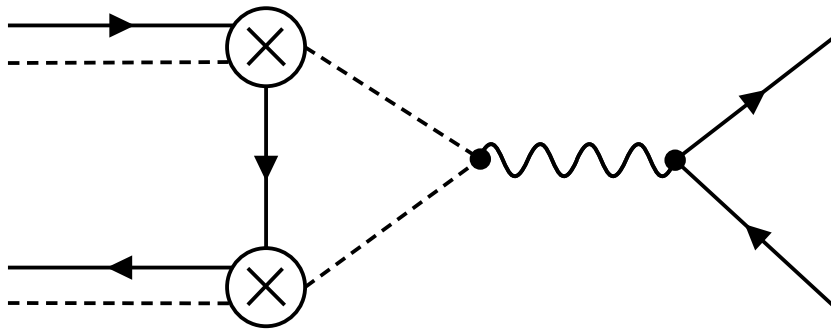
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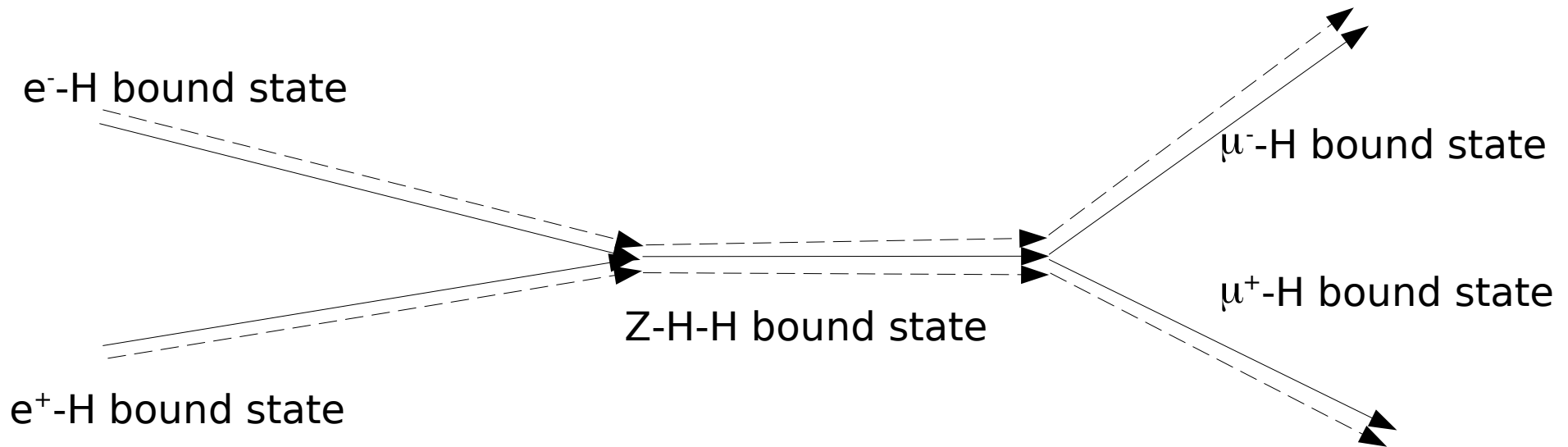


Enhanced Feynman rules: New **bound state splitting vertex**



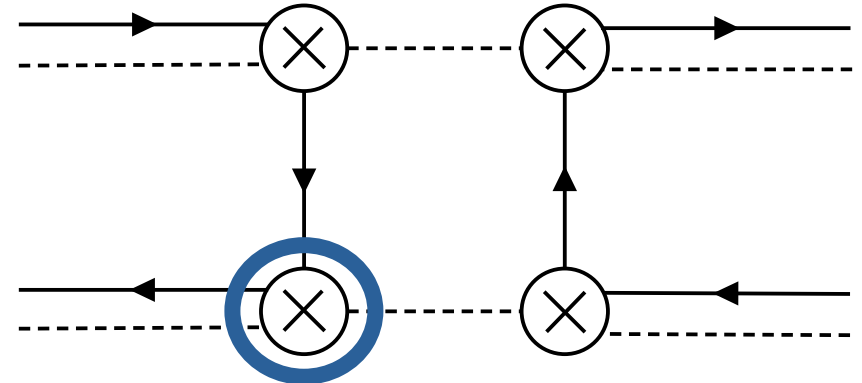
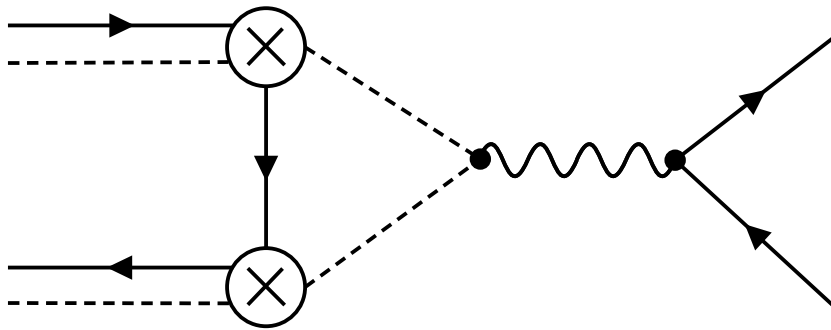
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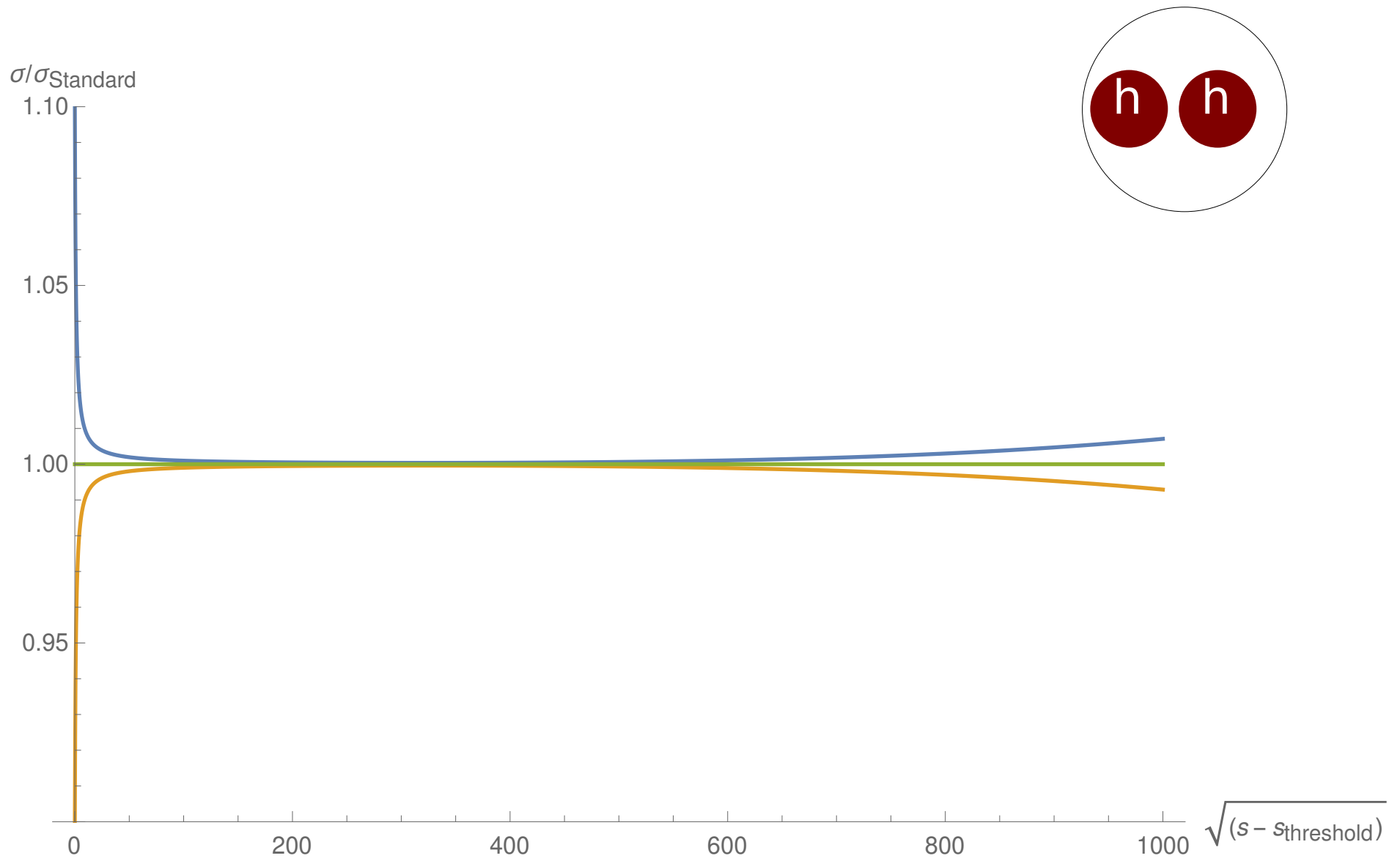
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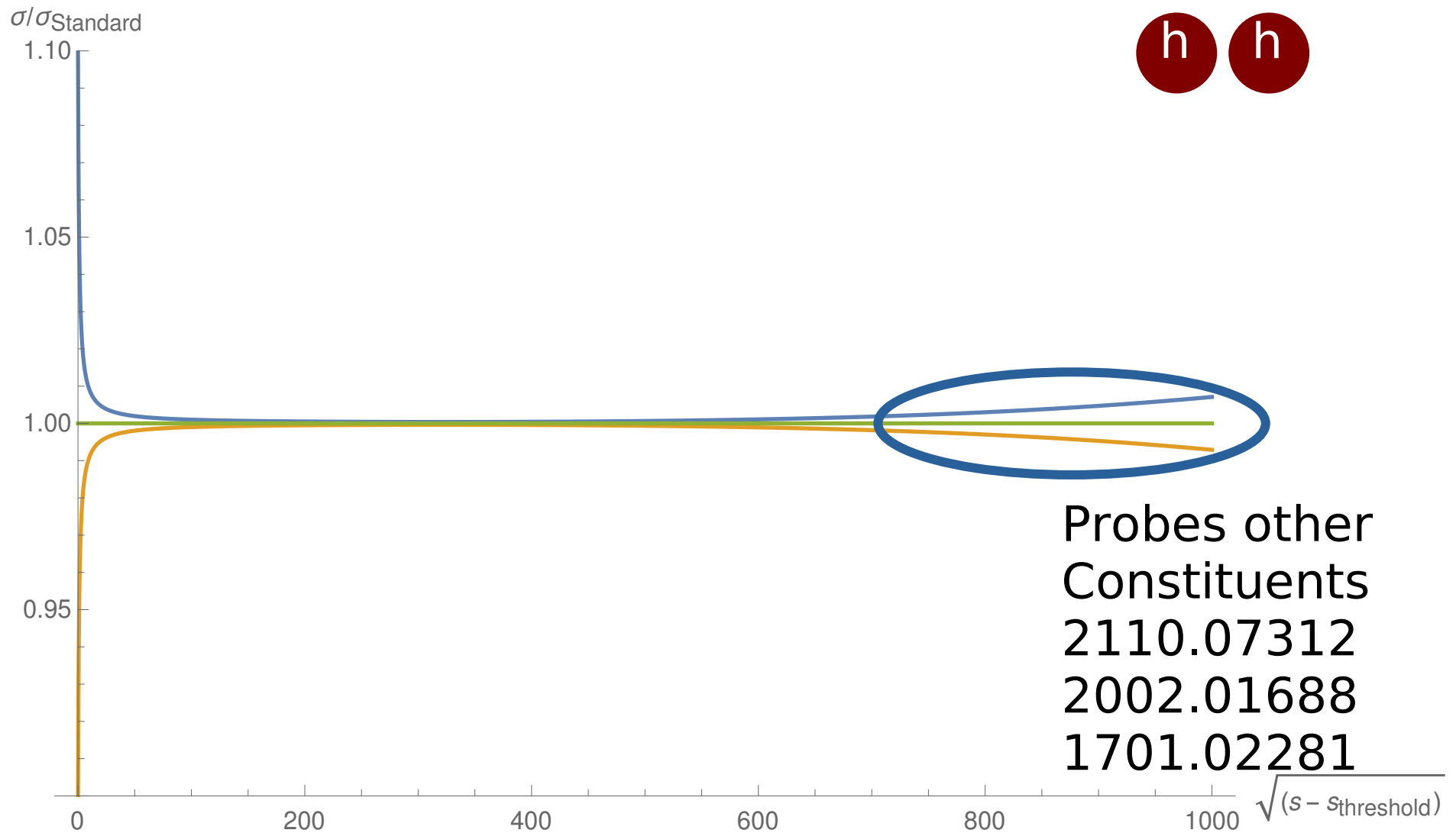
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Can be calculated with standard tools: Managable

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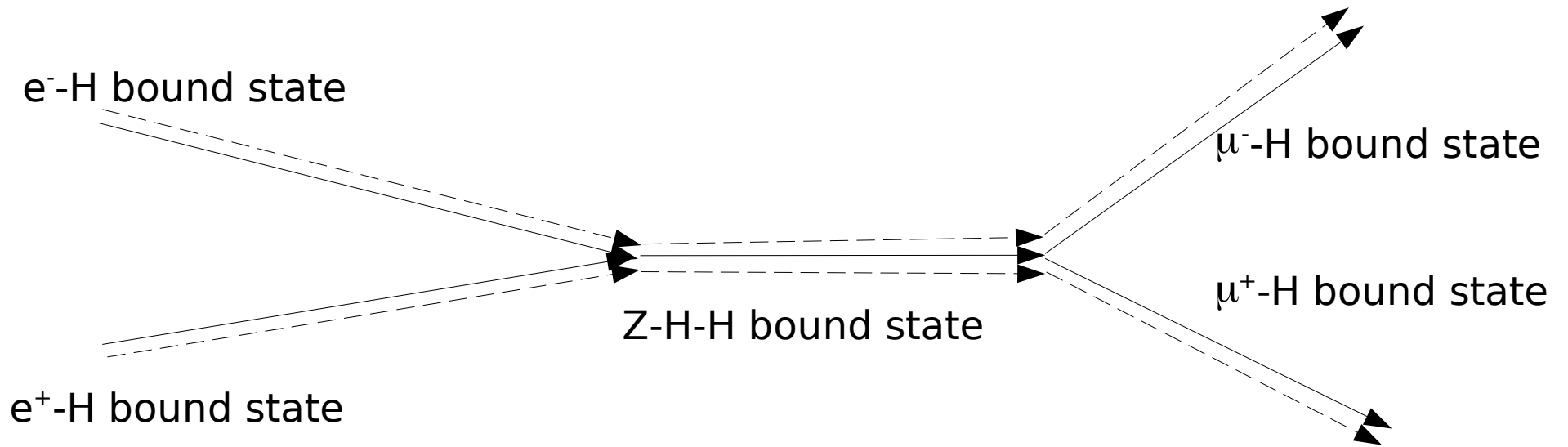


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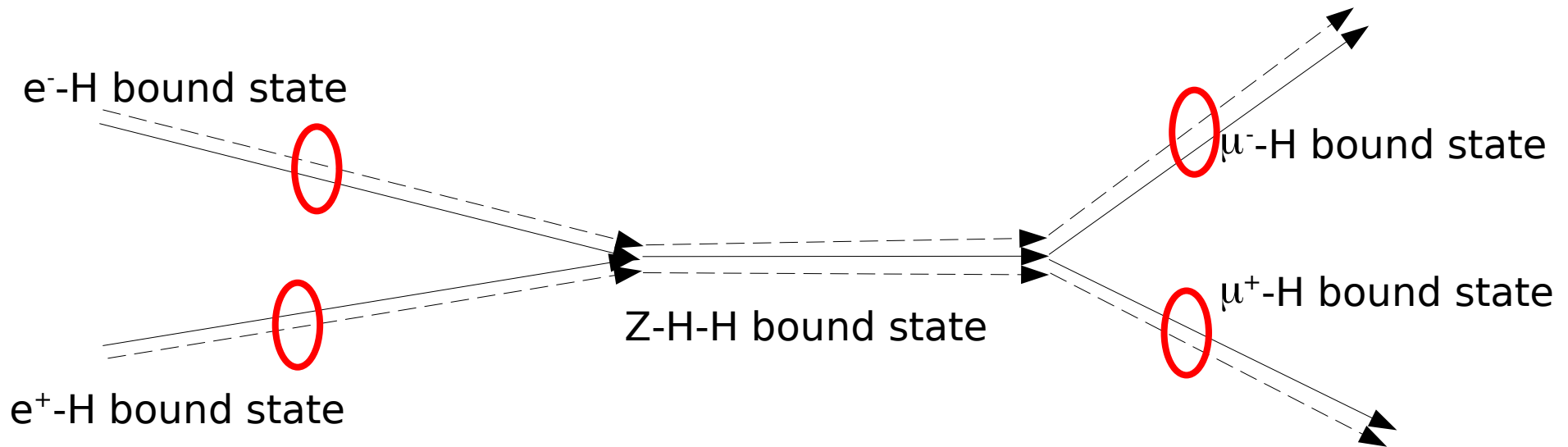
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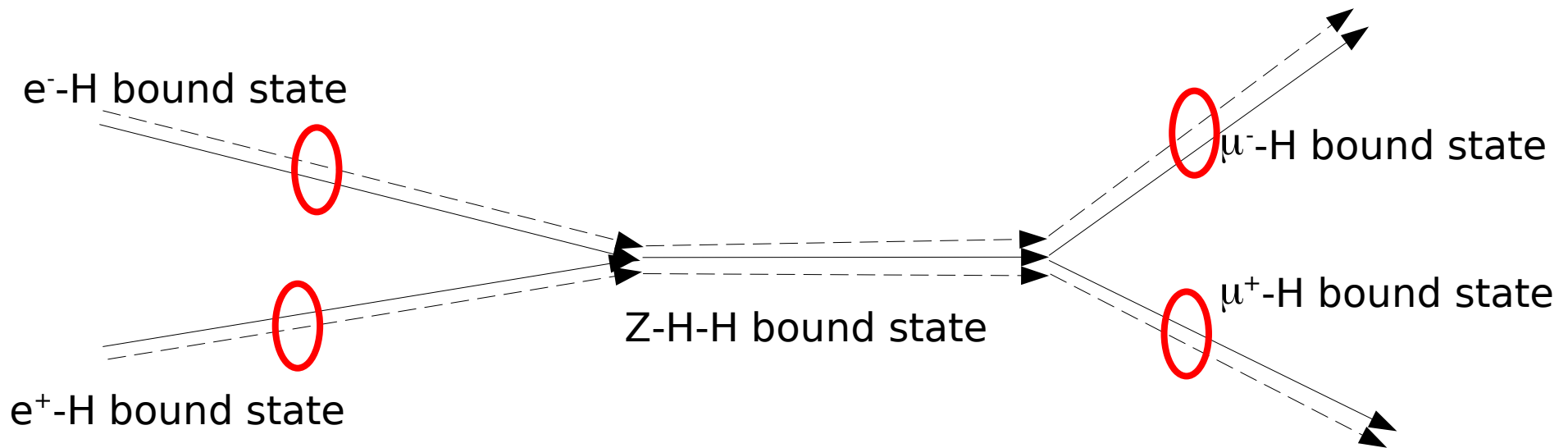
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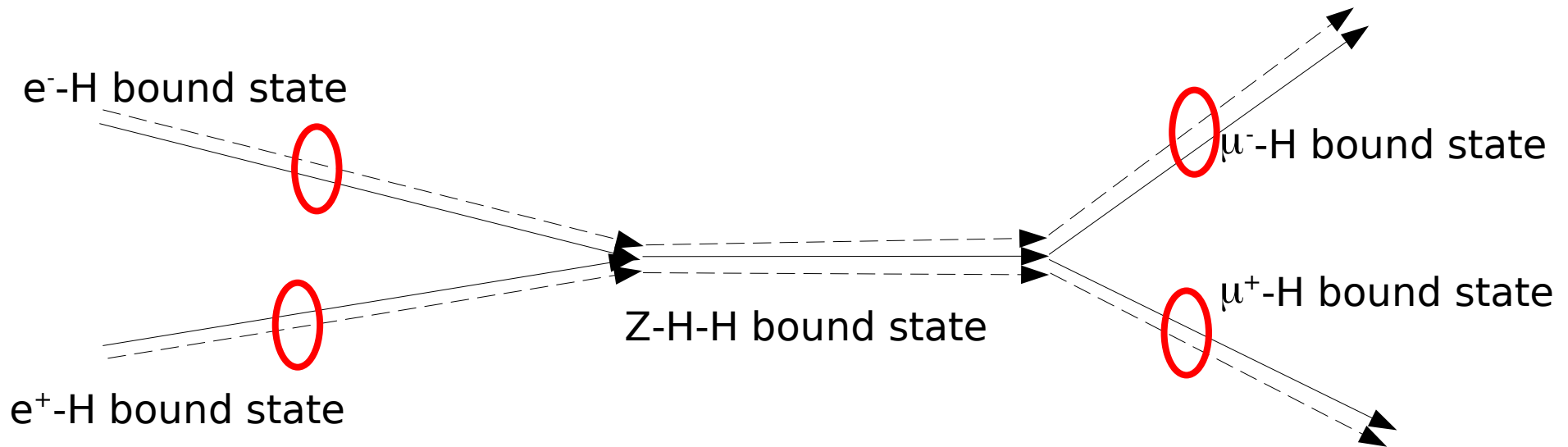
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[Maas'12,  
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Fernbach et al.'20]



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- FMS mechanism applicable to many theories
  - 2HDM, GUTs, MSSM, quantum gravity
  - Qualitative impact in many new physics scenarios