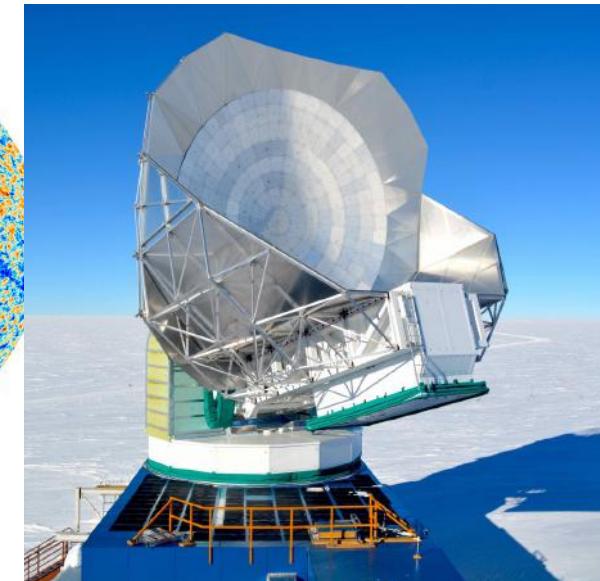
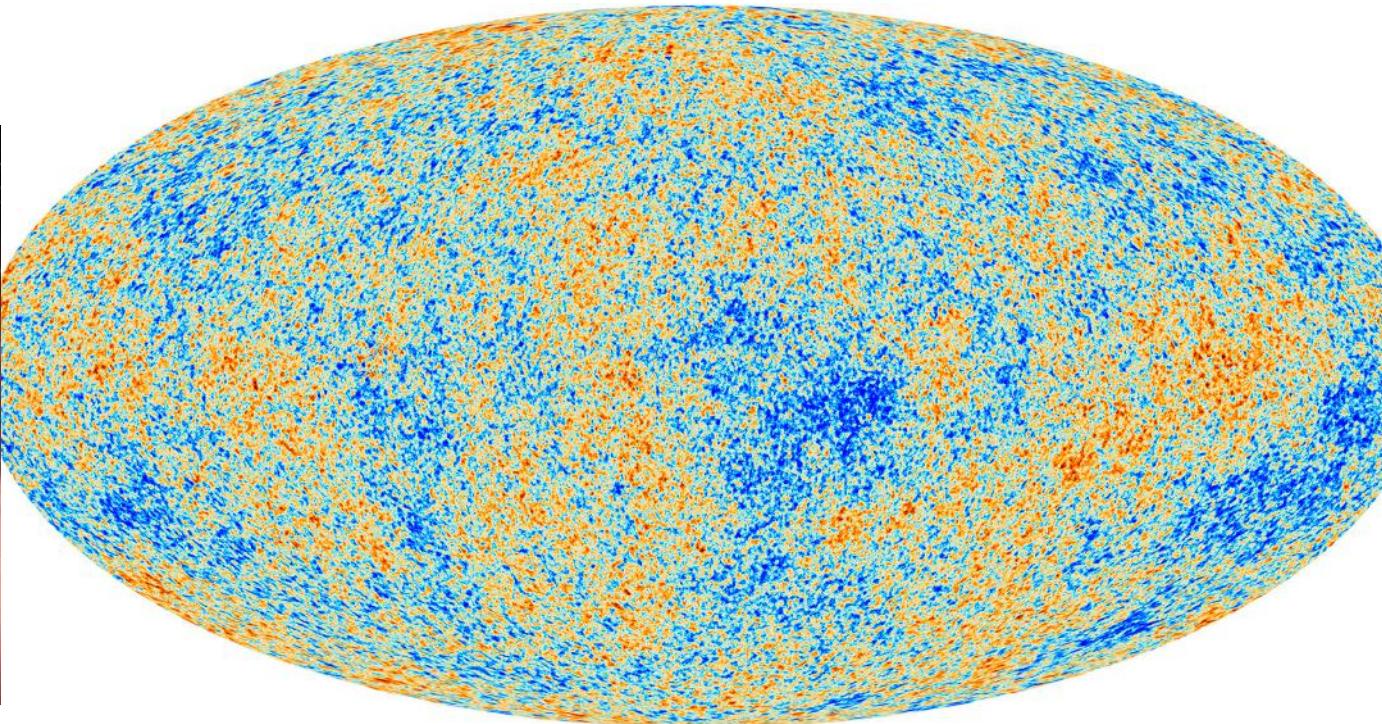
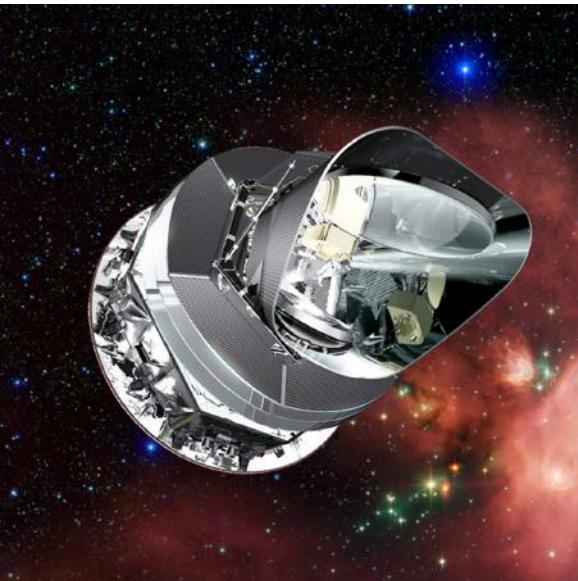


A joint Planck and SPT-SZ measurement of CMB lensing cluster masses

Alexandre Huchet

Supervisor: Jean-Baptiste Melin – CEA / Irfu / DPhP



A joint Planck and SPT-SZ measurement of CMB lensing cluster masses

A quick introduction/reminder

A joint Planck and SPT-SZ measurement of CMB lensing cluster masses

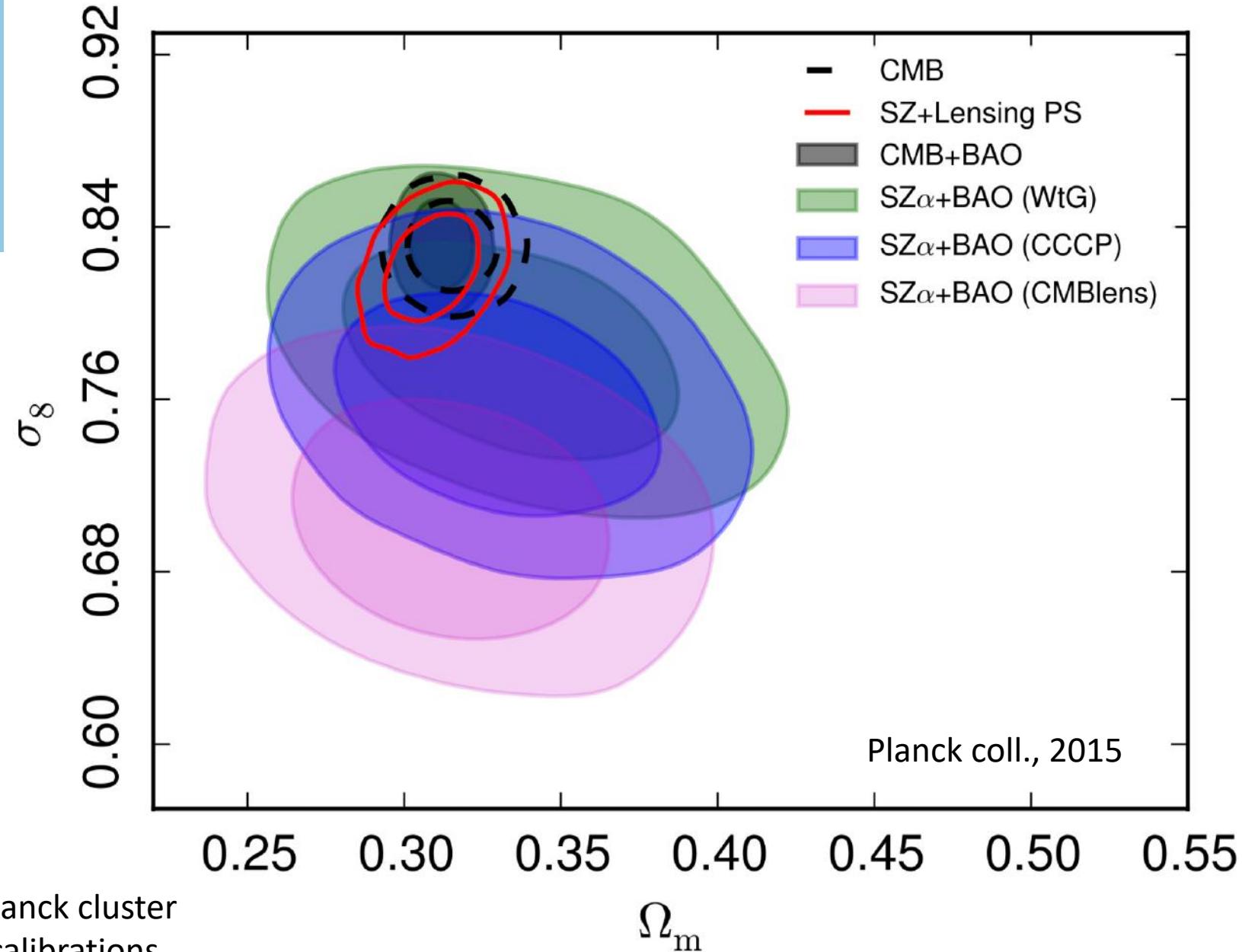
A quick introduction/reminder

Cosmology with clusters

Mass function:

$z, M \longleftrightarrow \text{cosmo}$

- Redshift from optical survey
- Mass from?

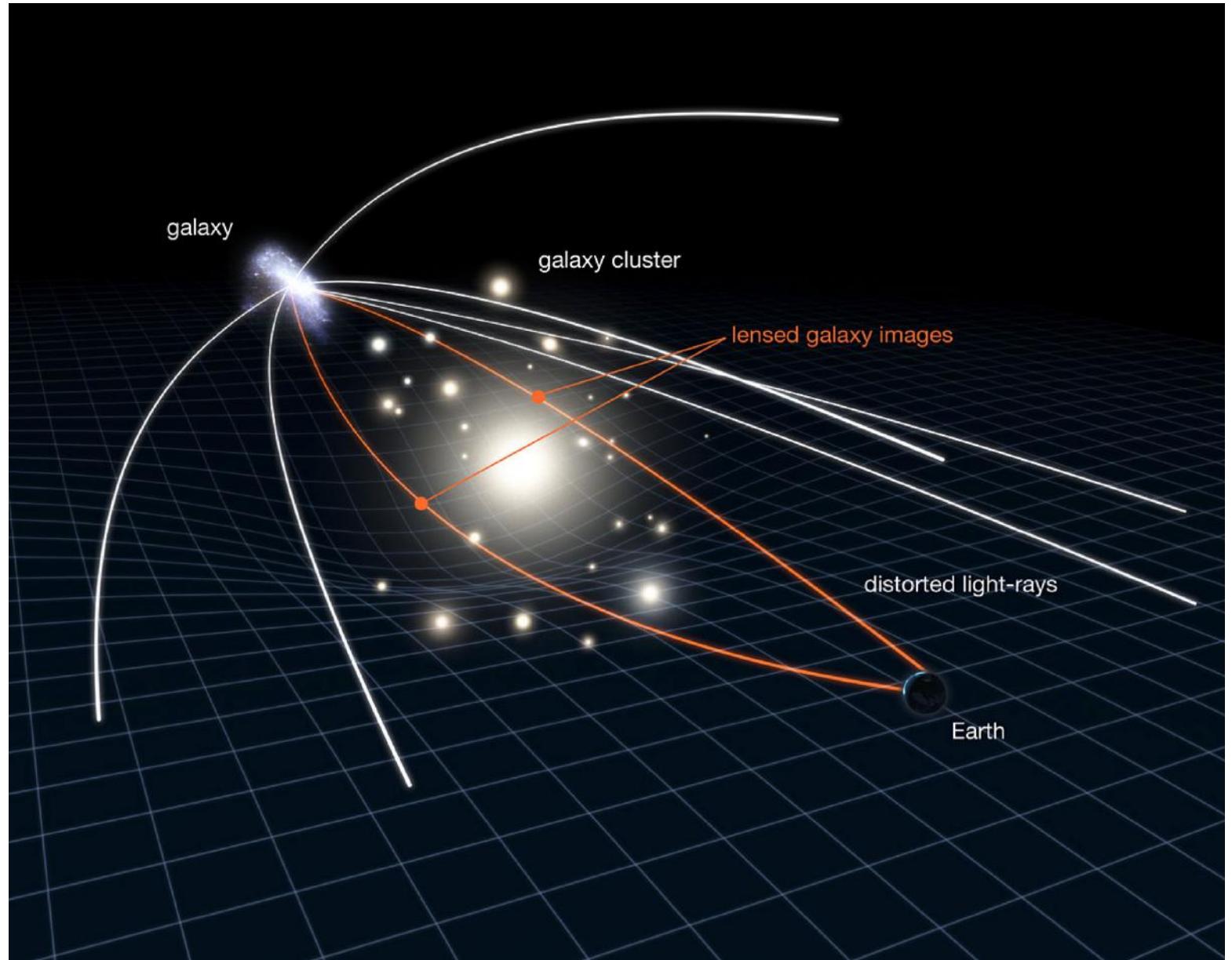


A joint Planck and SPT-SZ
measurement of
CMB lensing cluster masses

A quick introduction/reminder

Gravitational lensing

- **Visible light:** galaxies, 3% of total mass
- **X-rays:** hot intracluster gas, 12% of total mass
- **Gravitational lensing:** the above + dark matter (85%)
= 100% of total mass

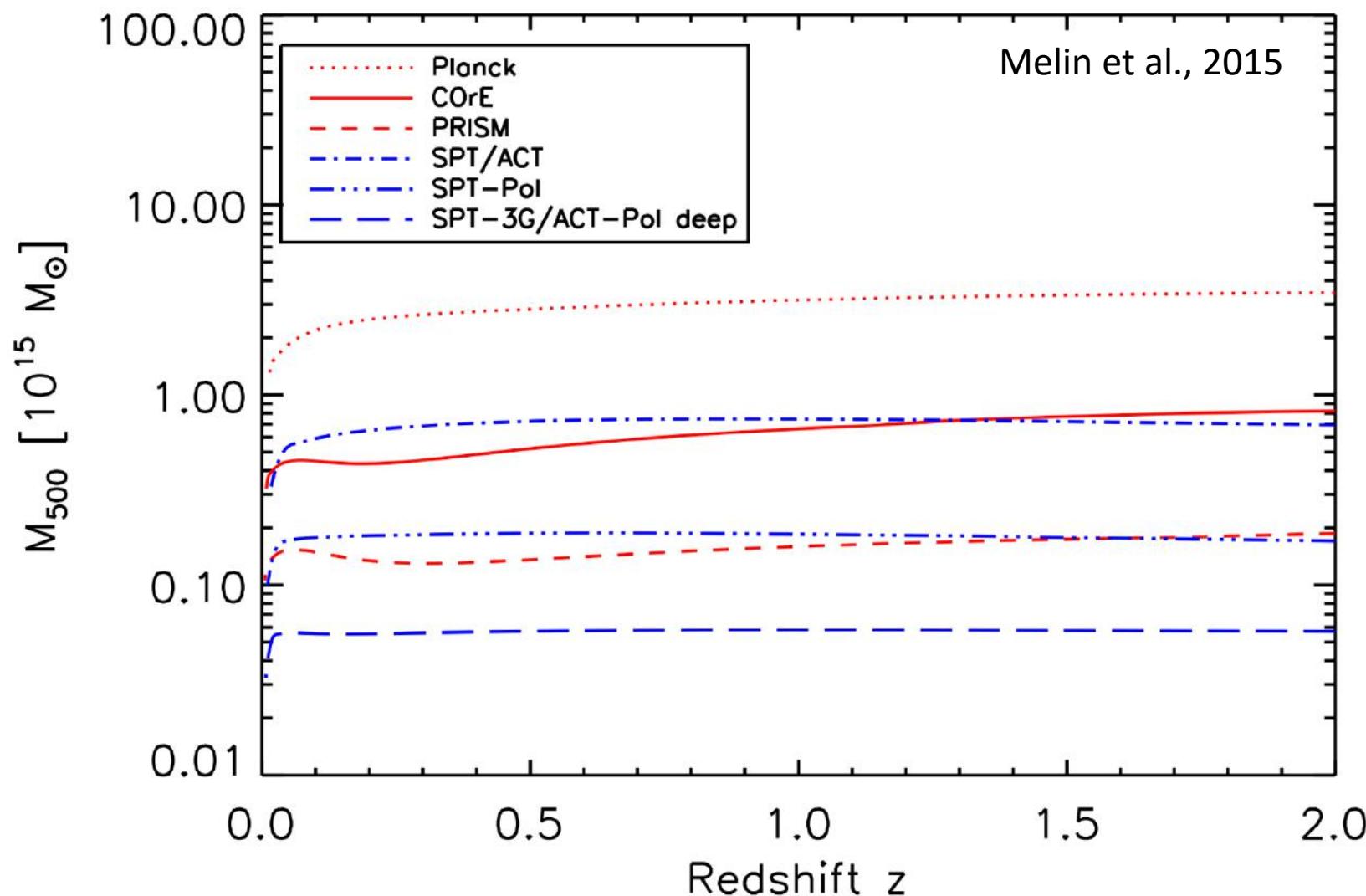


Lensing induced by a cluster on a background galaxy

Which source?

Two different types of sources:

- **Background galaxies**: need to find background galaxies, i.e. up to $z \sim 1$
- **CMB**: the CMB is the source, i.e. up to $z \sim 1100$



A joint Planck and SPT-SZ

measurement of

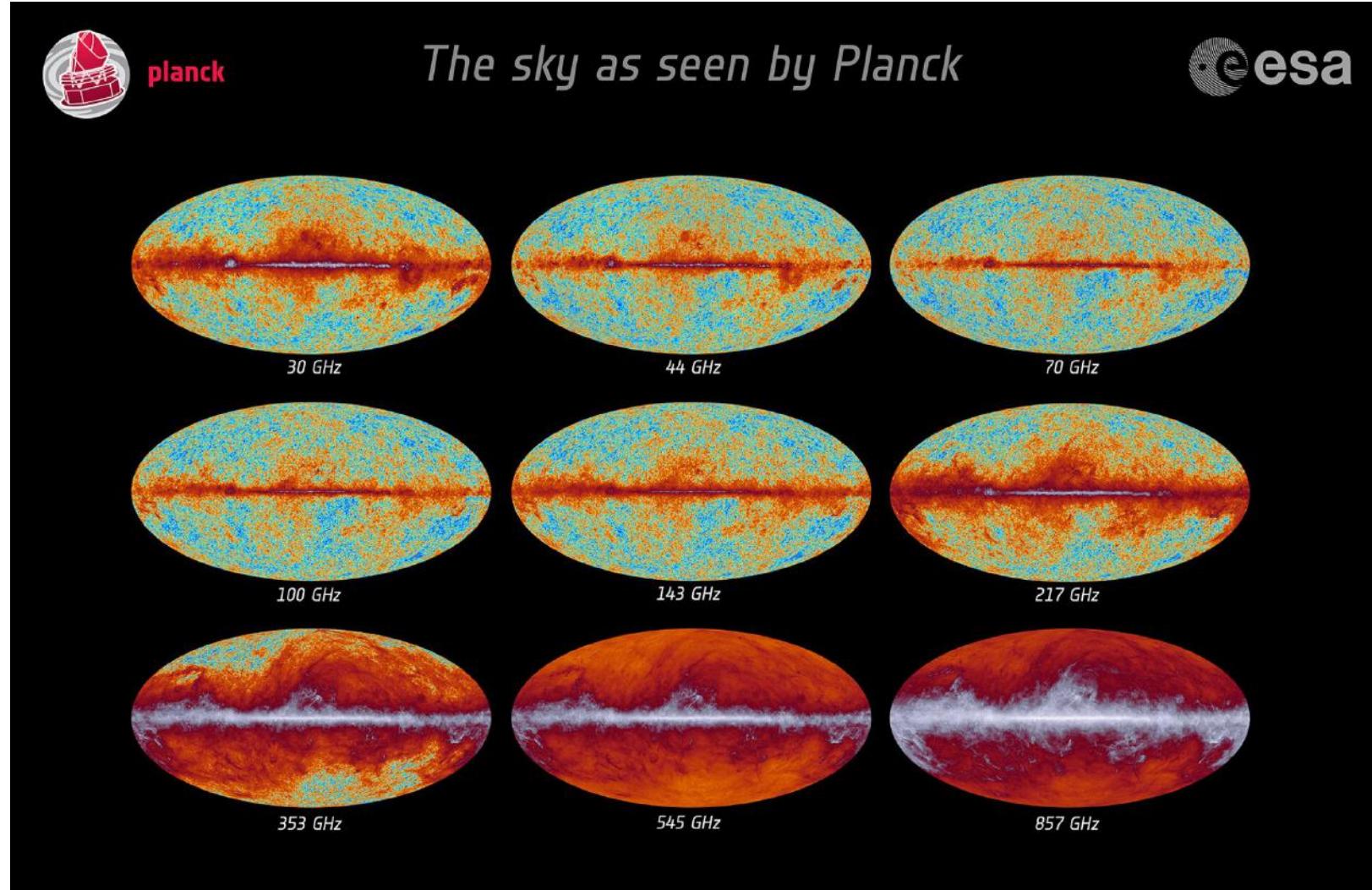
CMB lensing

cluster masses

A quick introduction/reminder

Two surveys

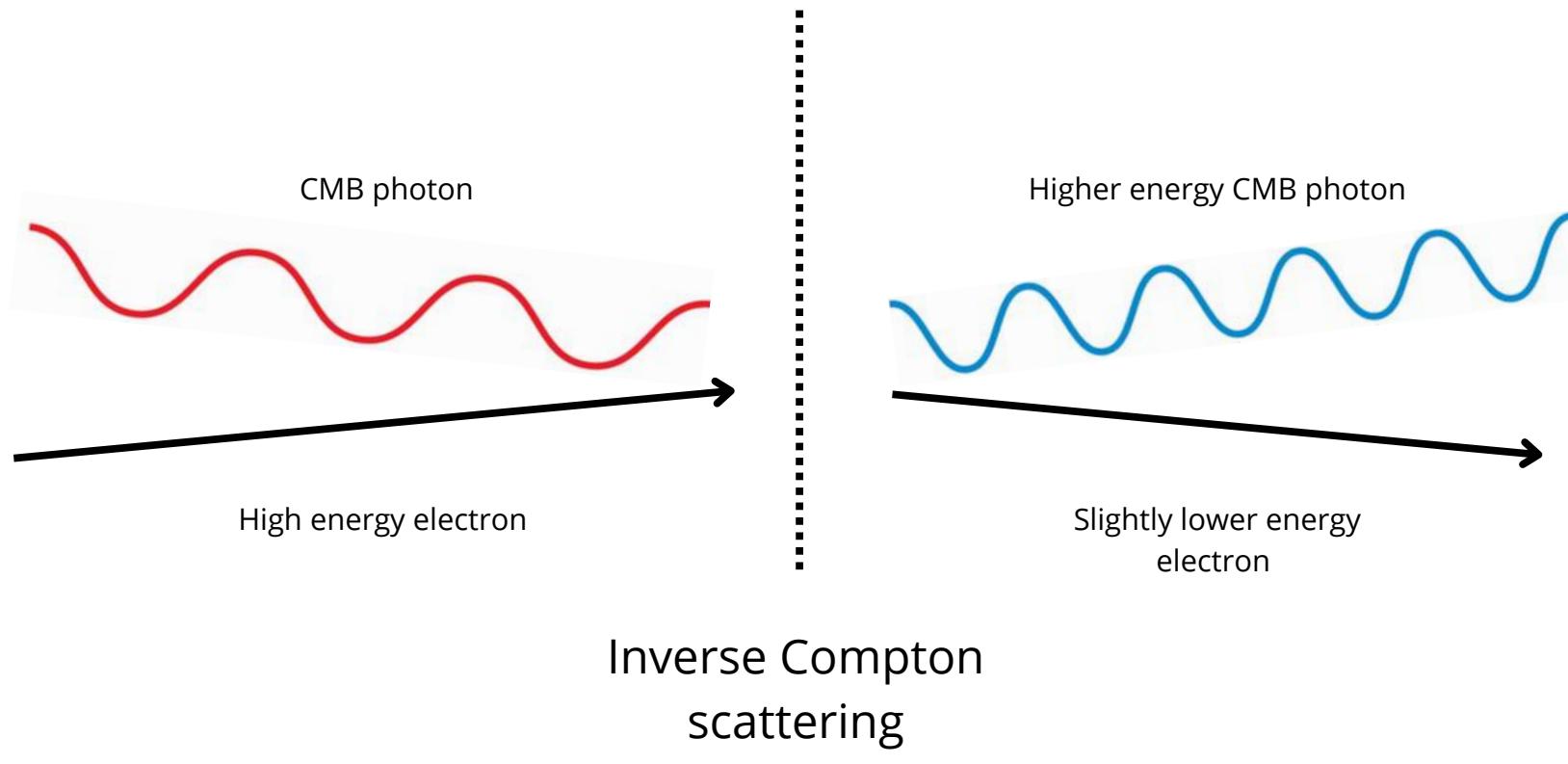
- **Planck survey:**
 - All-sky (42000 deg^2)
 - 5 arcmin beam
 - 6 frequencies (100, 143, 217, 353, 545, 857 GHz)
 - In space
- **SPT-SZ survey:**
 - 2500 deg^2
 - 1.75 arcmin beam
 - 3 frequencies (95, 150, 220 GHz)
 - Ground based



SZ effect

Sunyaev Zel'dovich effect:

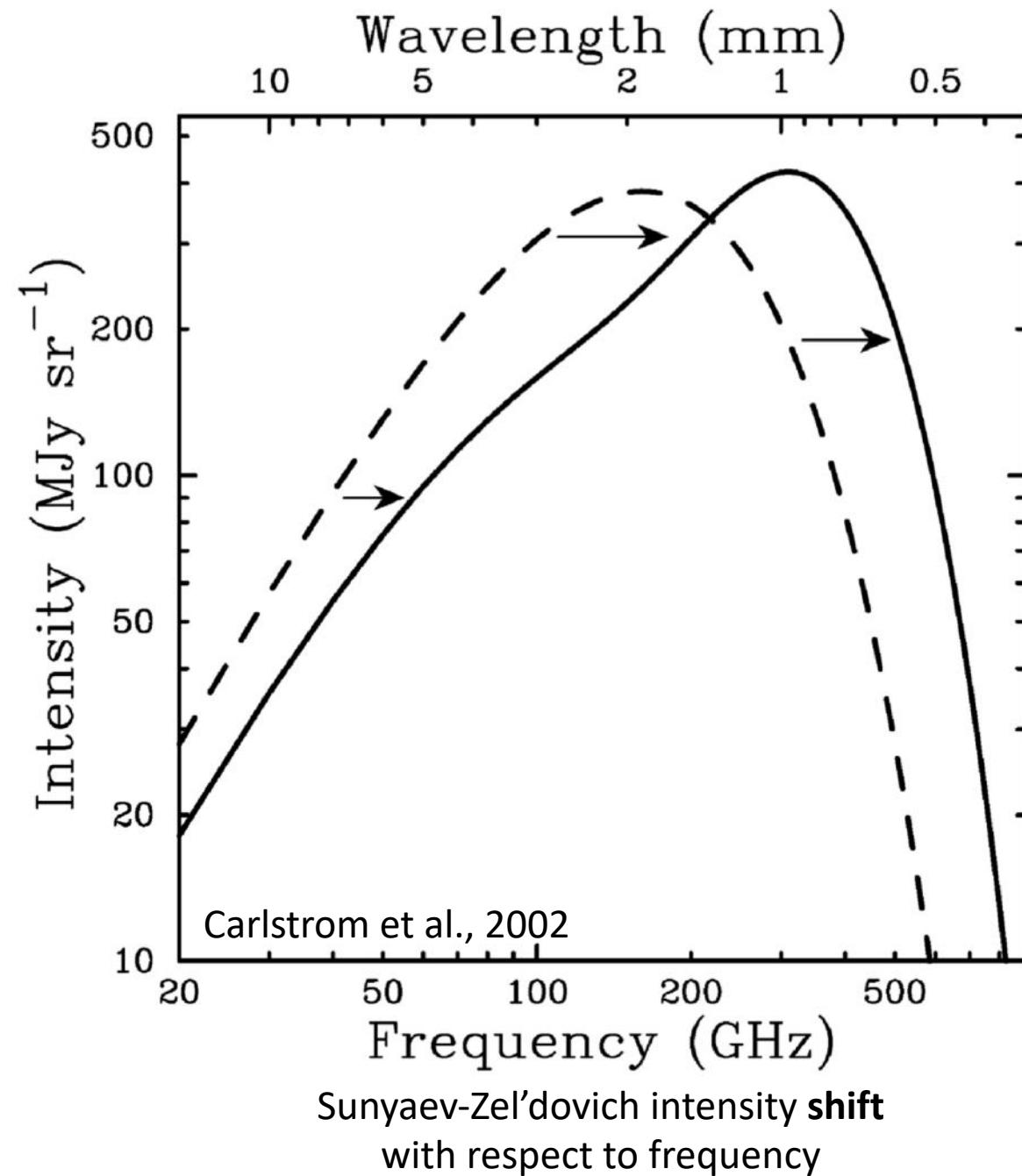
- Inverse Compton **scattering** of CMB photons by hot intracluster gas electrons
- The CMB blackbody spectrum is shifted
- The detection of this shift is a hint to the presence of a cluster



SZ effect

Sunyaev Zel'dovich effect:

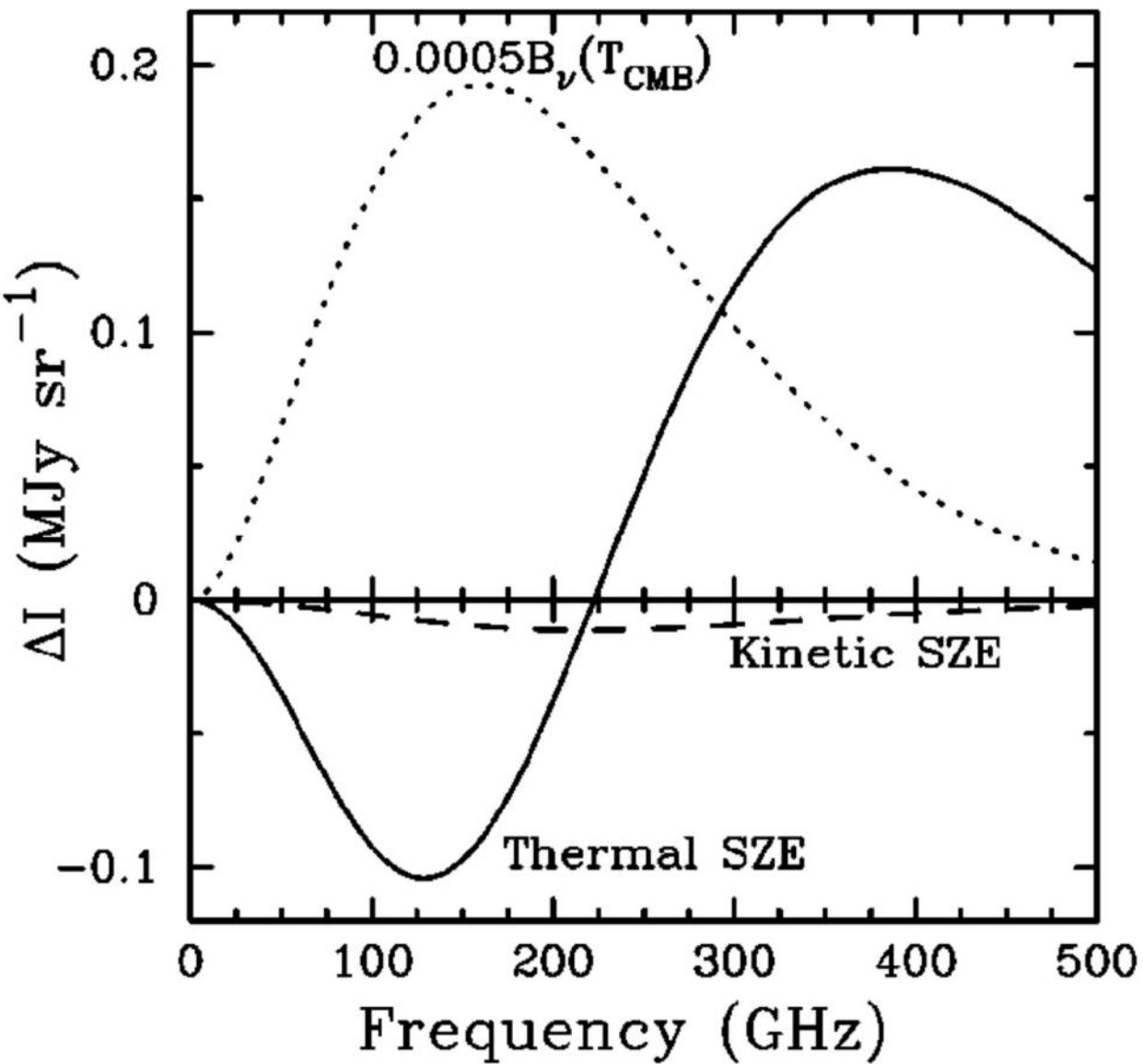
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SZ effect

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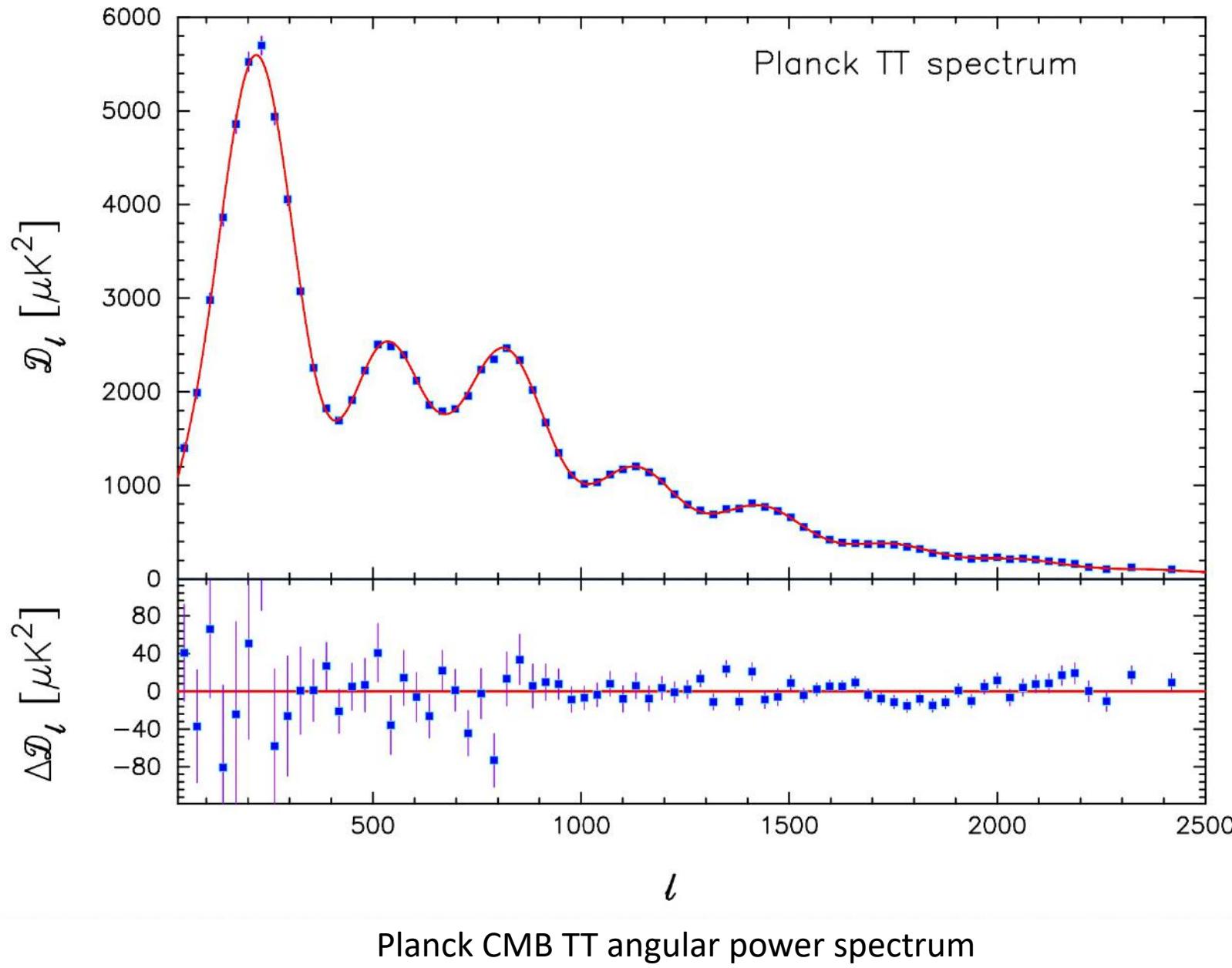
Intensity of the CMB with respect to frequency
before and after the scattering

What to do then?

- We use **Planck et SPT-SZ**, two complementary data sets
- First steps: **separated** analysis for each data set
 - Analysis on simulated maps
 - Apply the method to real data
- We then **combine** the Planck and SPT-SZ data sets
 - First simulation
 - Then real data

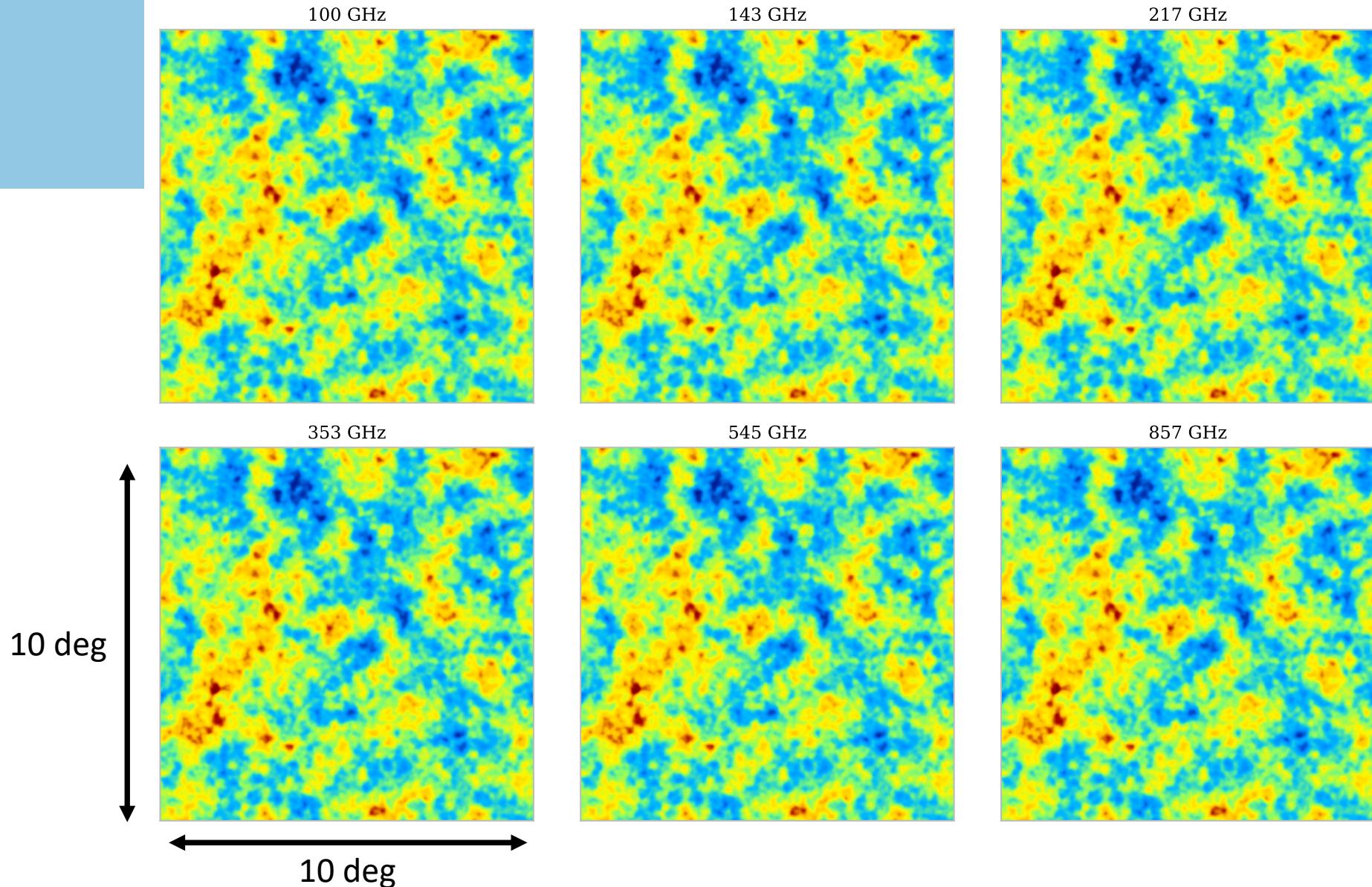
Map simulation

- **CMB**: Gaussian random field from Planck CMB power spectrum
- **Cluster lens**: Navarro-Frenk-White (NFW) density profile
- **SZ effect**: generalized NFW (GNFW) profile (Arnaud et al. 2010)
- **Instrumental point spread function (PSF)**
- **Instrumental noise**



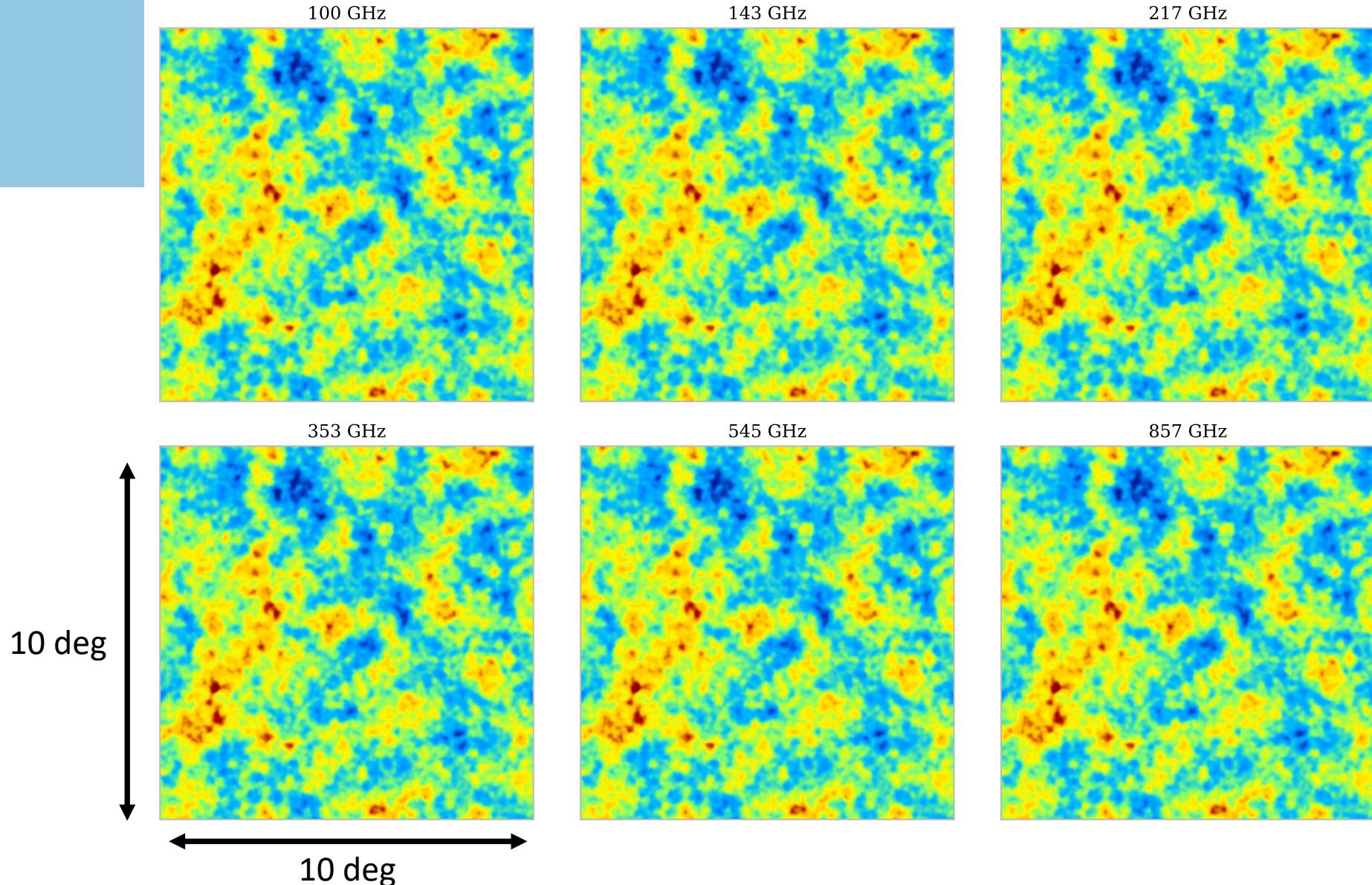
Planck simulation

- CMB



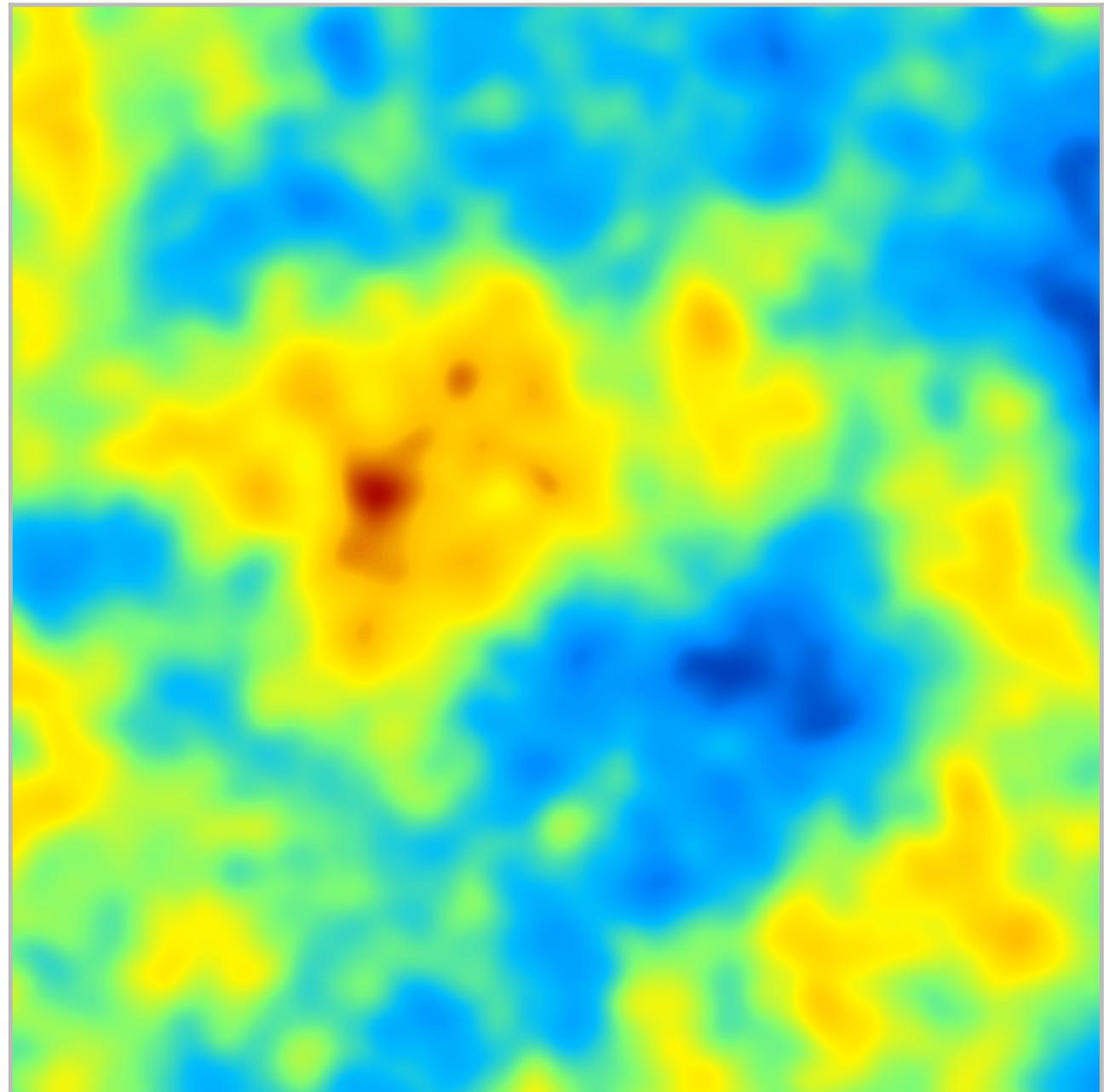
Planck simulation

- CMB
- Cluster lens



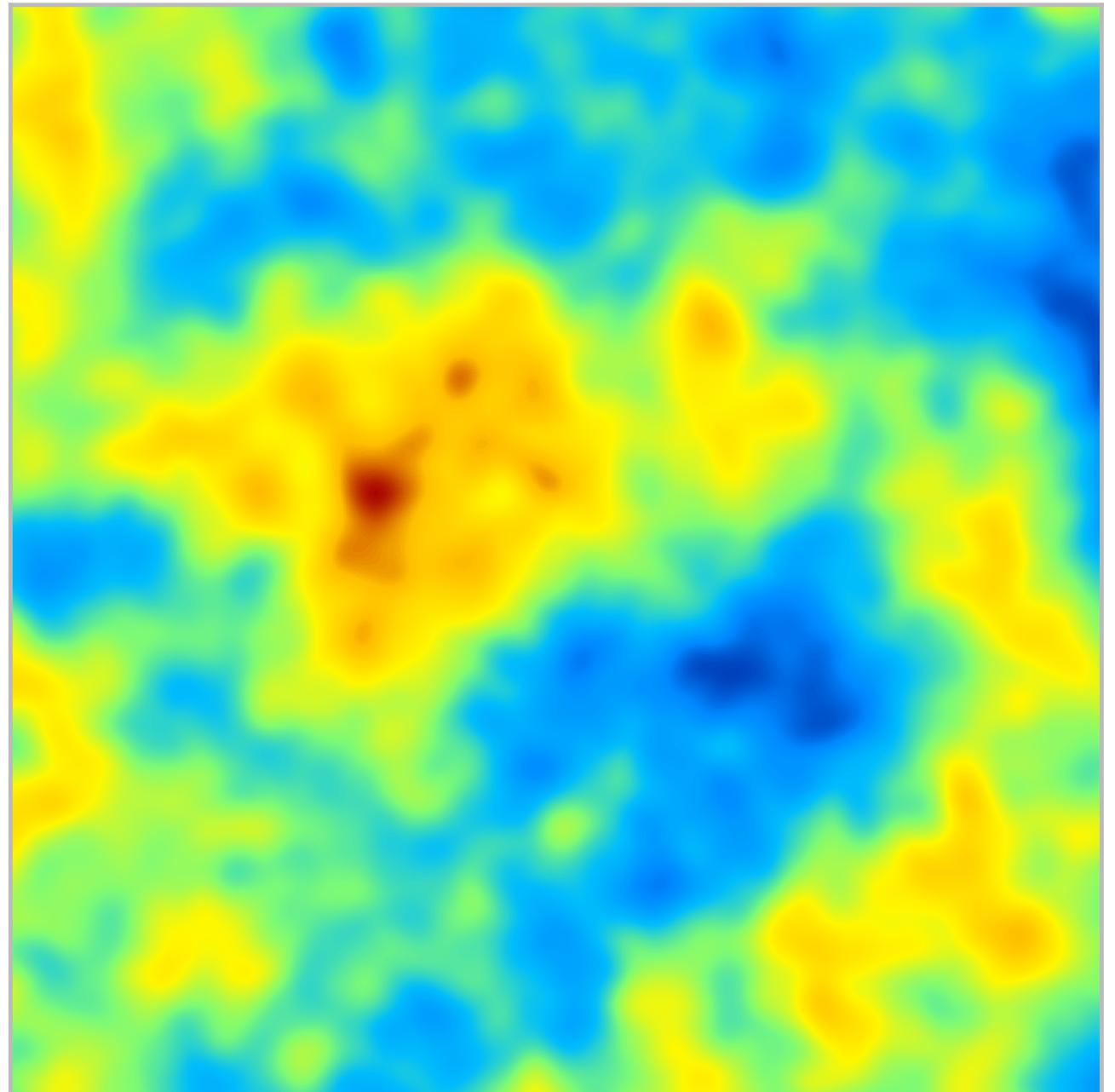
Planck simulation

- CMB
- No lensing



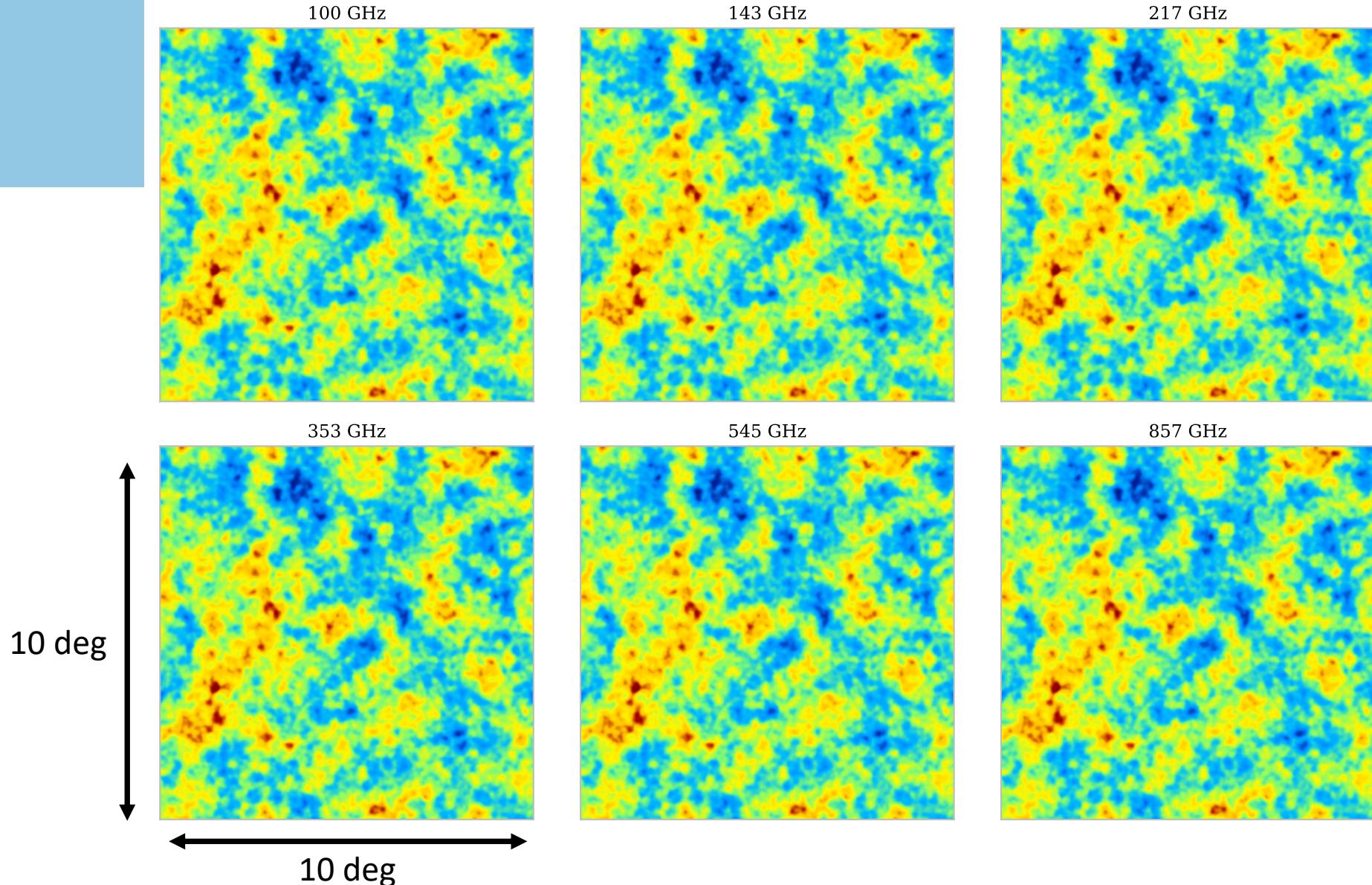
Planck simulation

- CMB
- Lensing



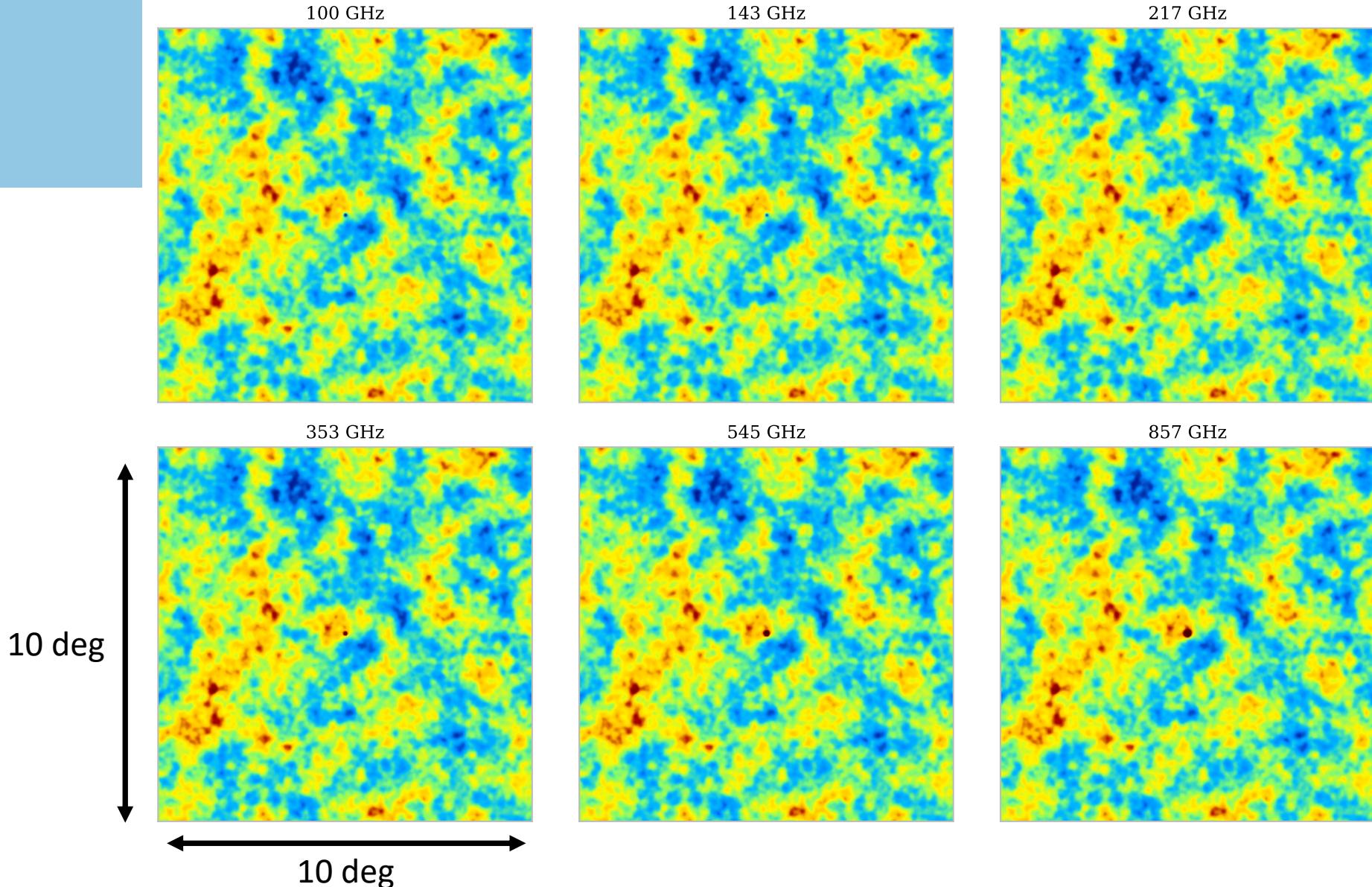
Planck simulation

- CMB
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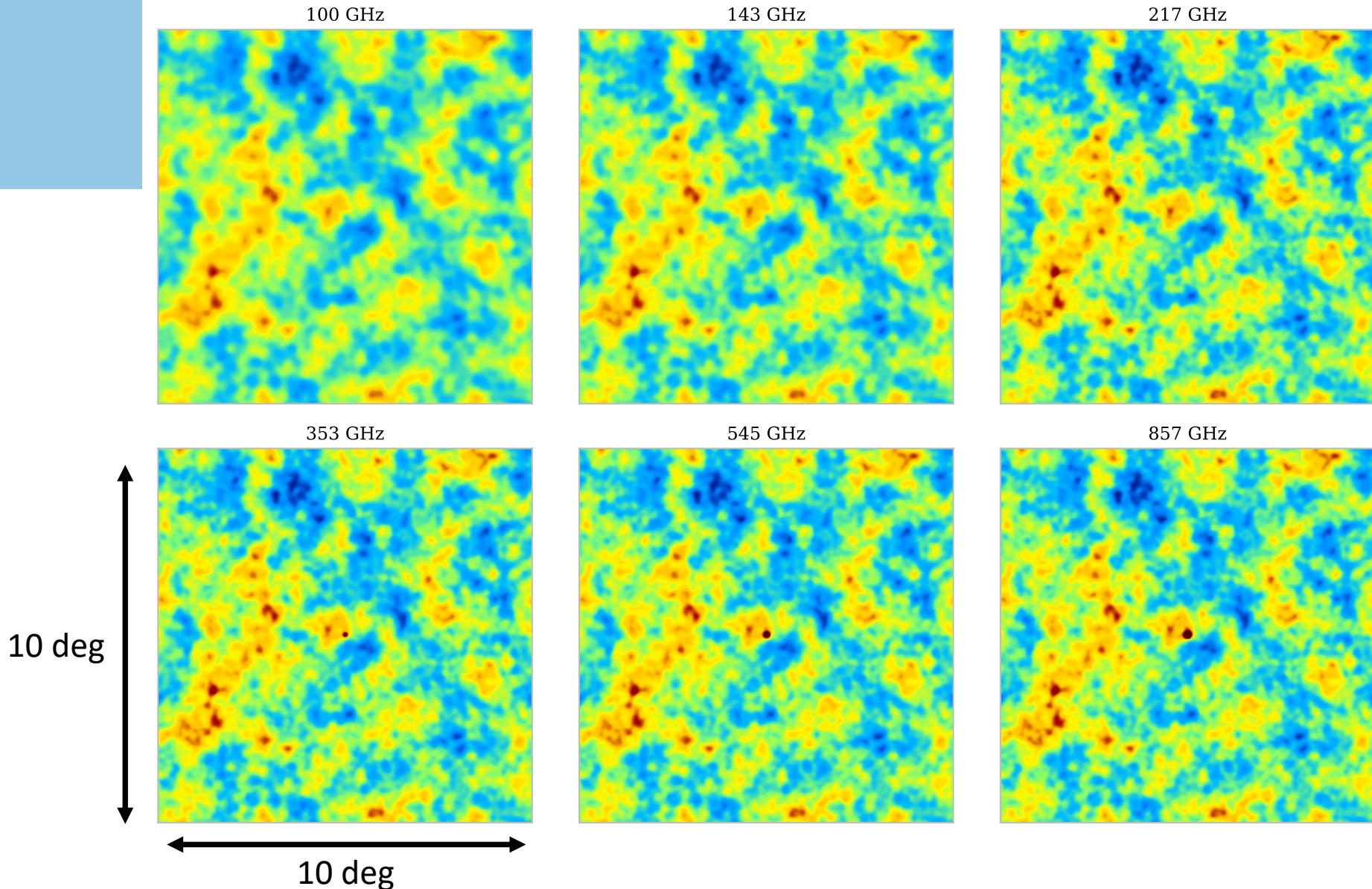
Planck simulation

- CMB
- Cluster lens
- SZ effect



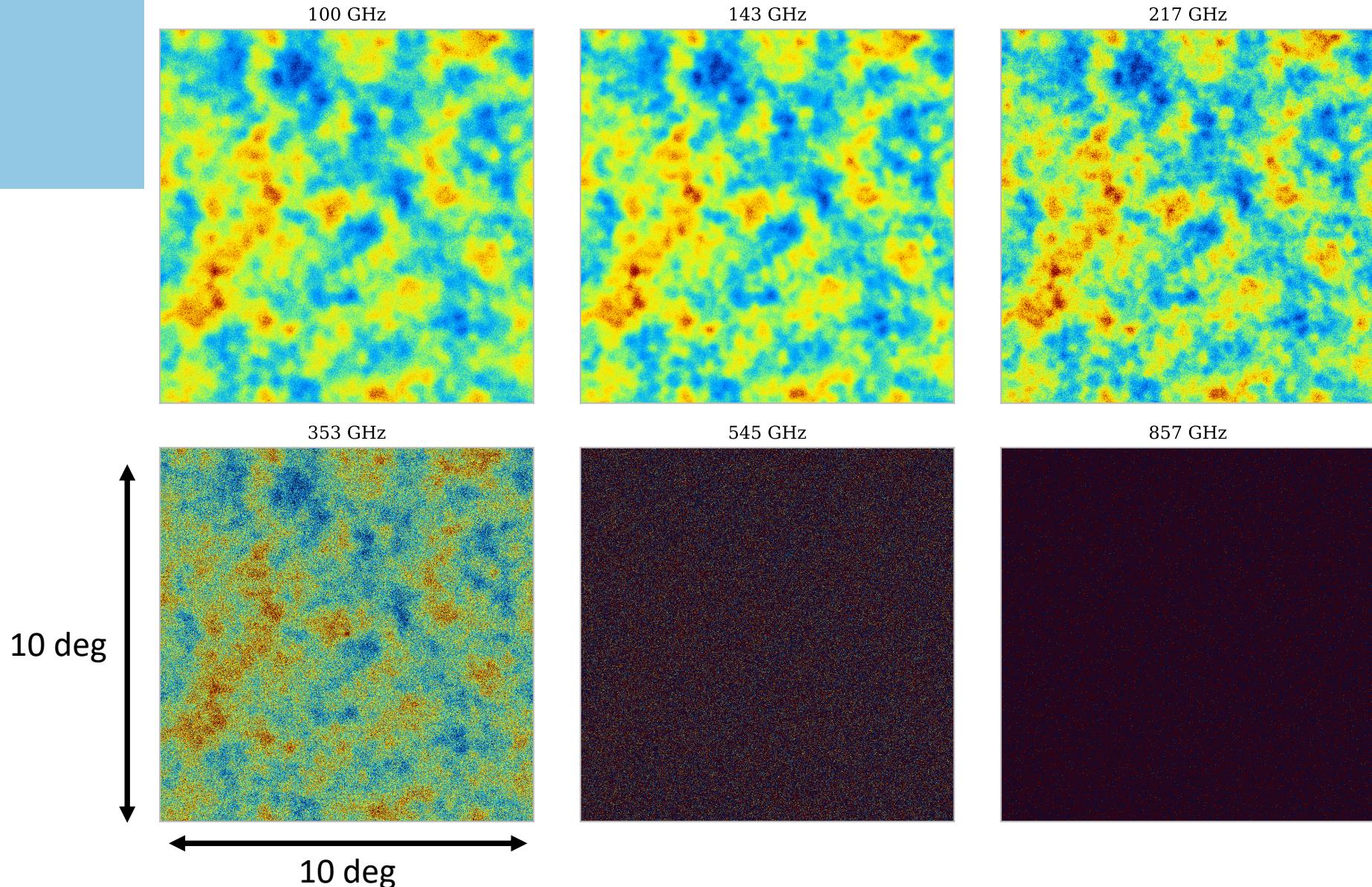
Planck simulation

- CMB
- Cluster lens
- SZ effect
- Instrumental PSF



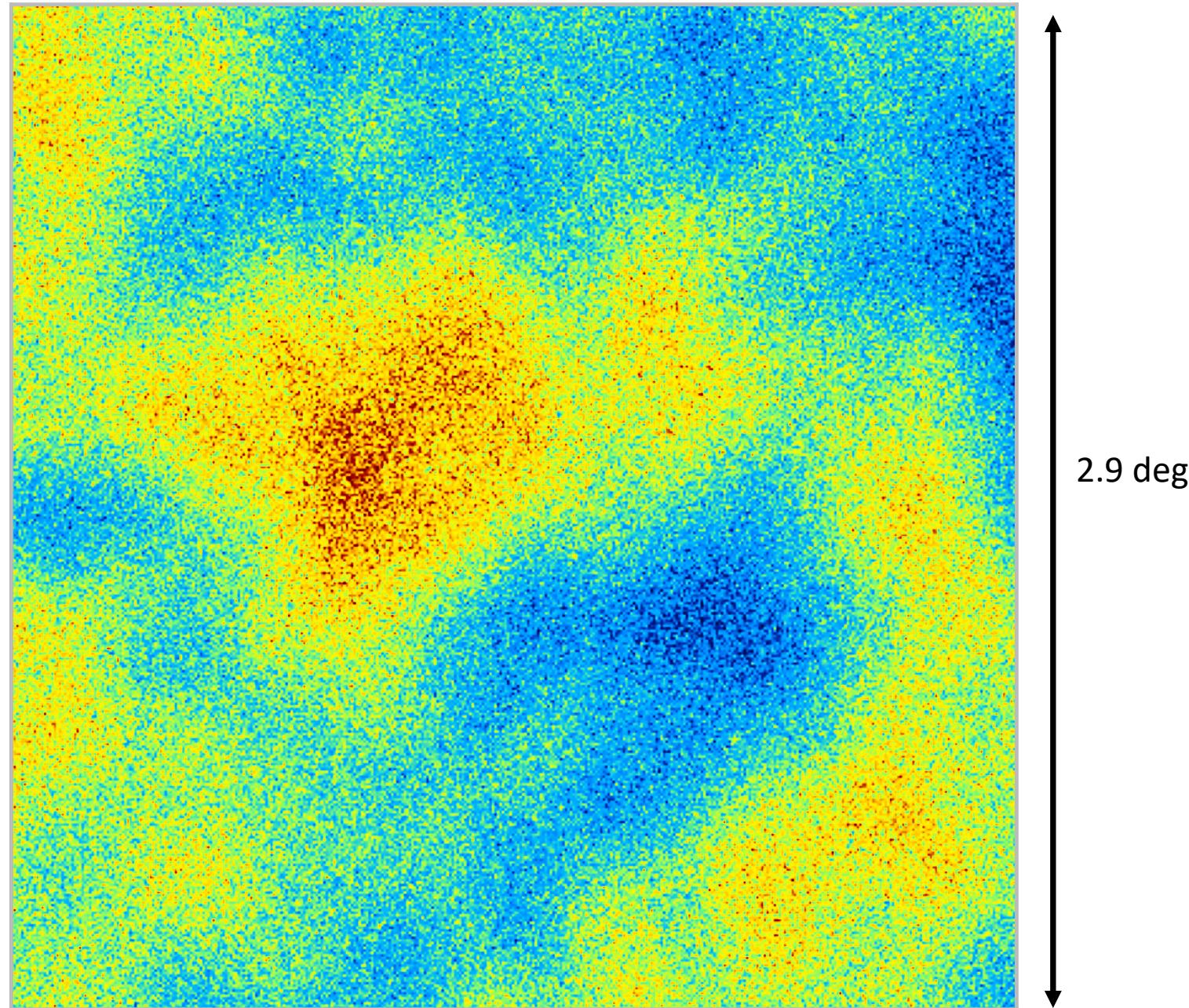
Planck simulation

- CMB
- Cluster lens
- SZ effect
- Instrumental PSF
- Instrumental noise



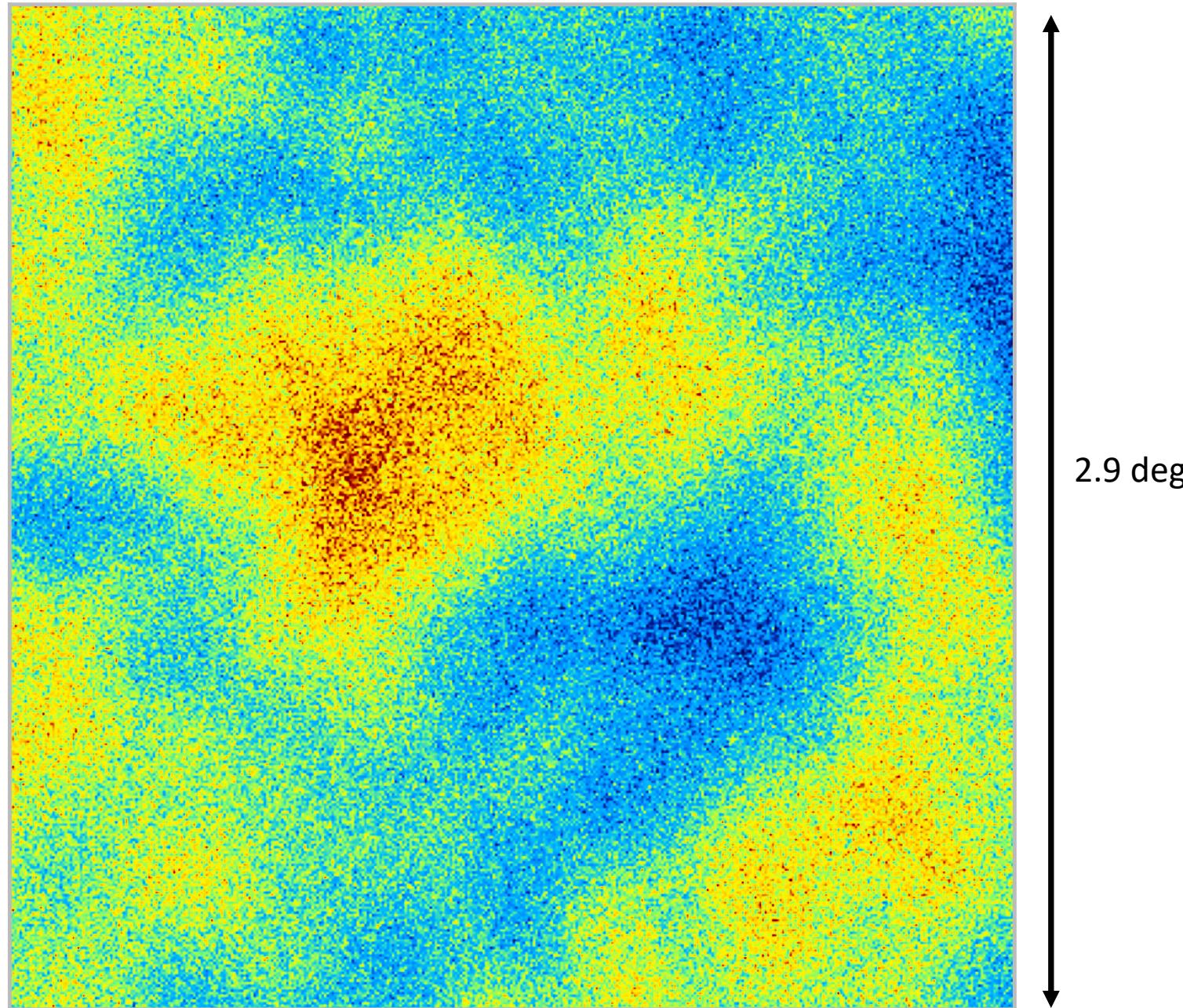
Planck simulation

- 100 GHz map
- No SZ effect
- No lensing



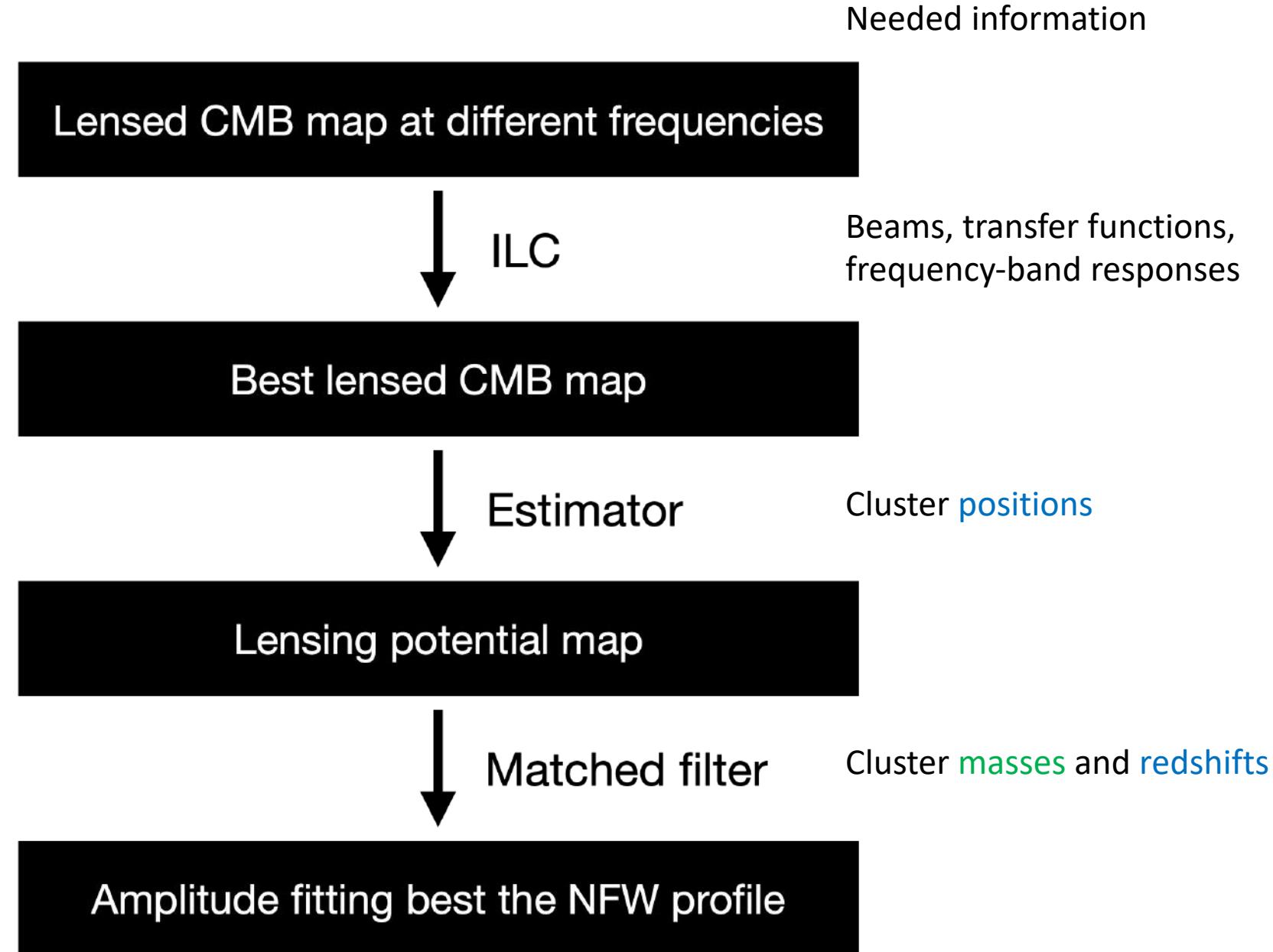
Planck simulation

- 100 GHz map
- No SZ effect
- Lensing



Data analysis

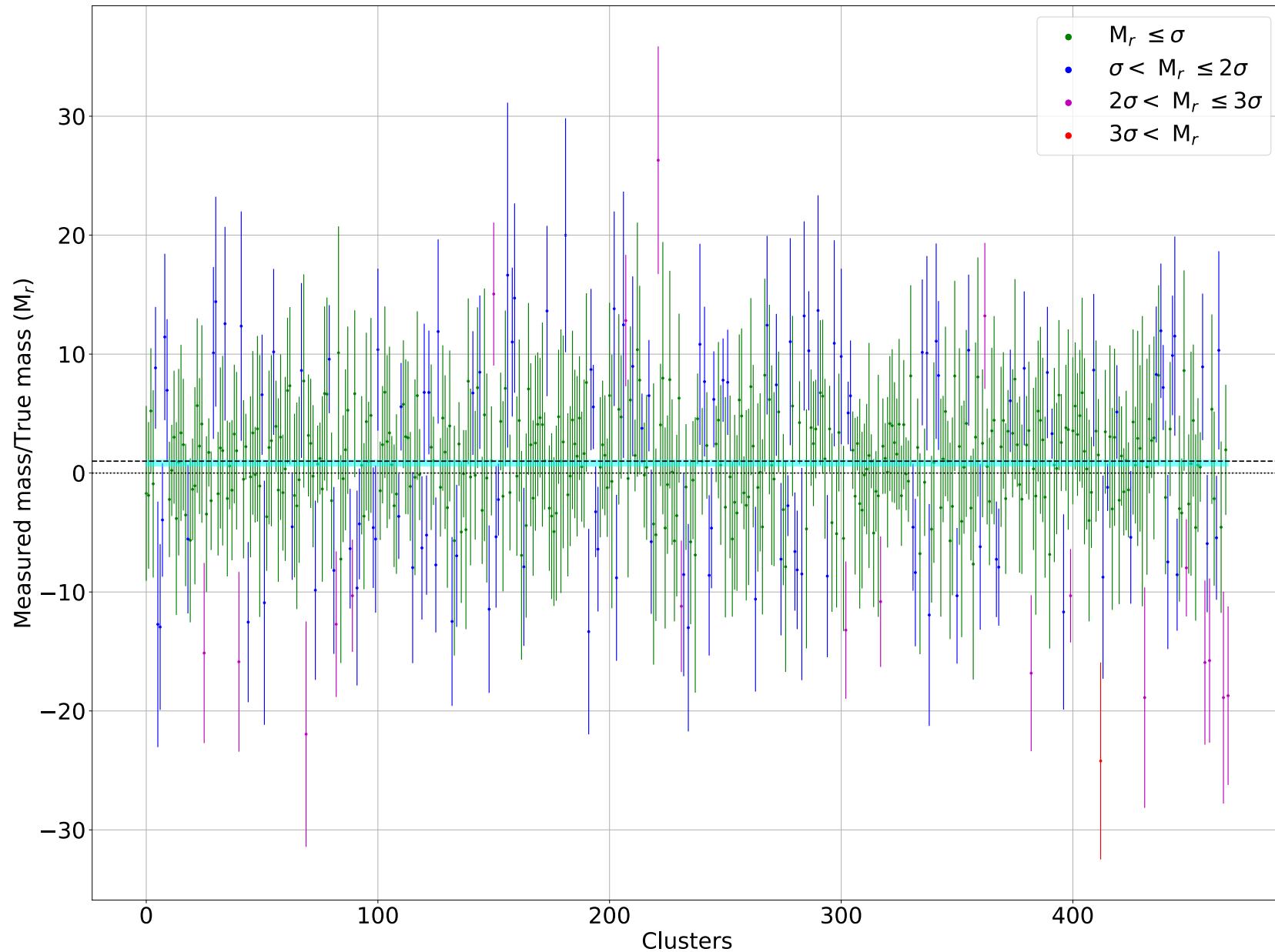
- **Internal Linear Combinations (ILC),**
Remazeilles et al., 2011
- **Lensing estimator,** Hu & Okamoto, 2002
- **Matched filter,** Melin et al., 2015



One Planck simulation

Each point and associated error bar correspond to an **individual cluster mass measurement**, for a total of 468.

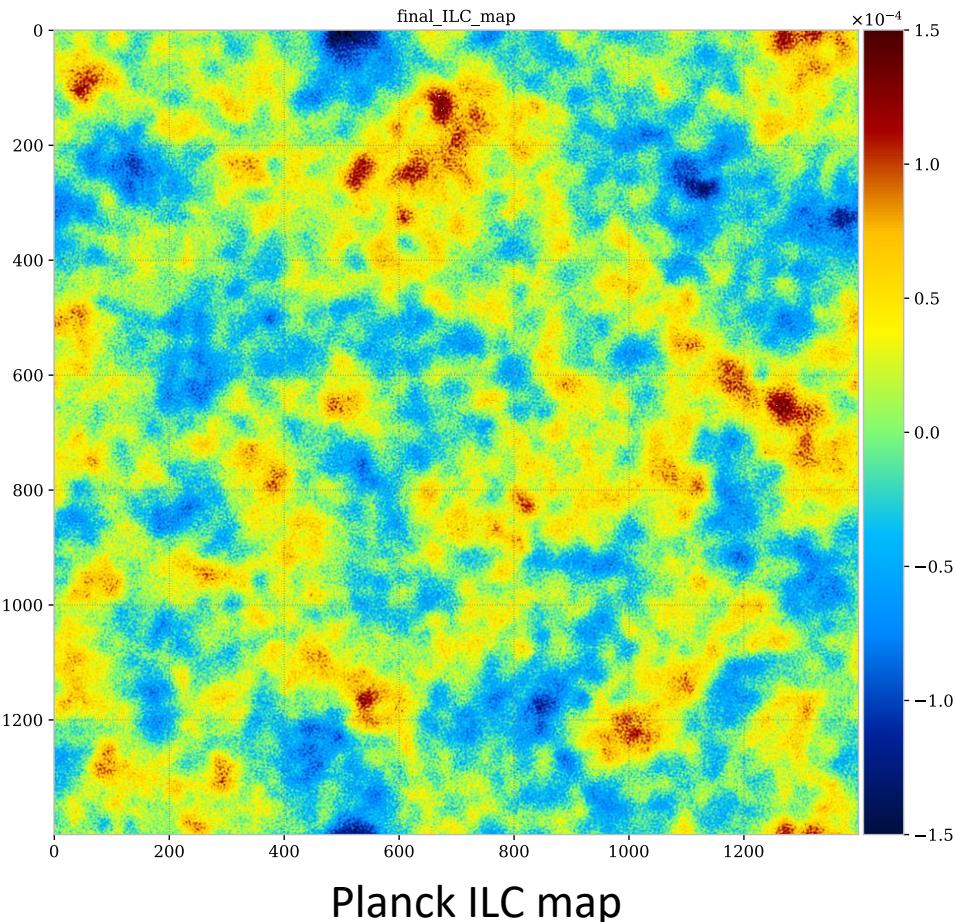
Averaging these measurements provides $\langle M_r \rangle = 0.84 \pm 0.25$, compatible with one



Comparison between Planck and SPT results...

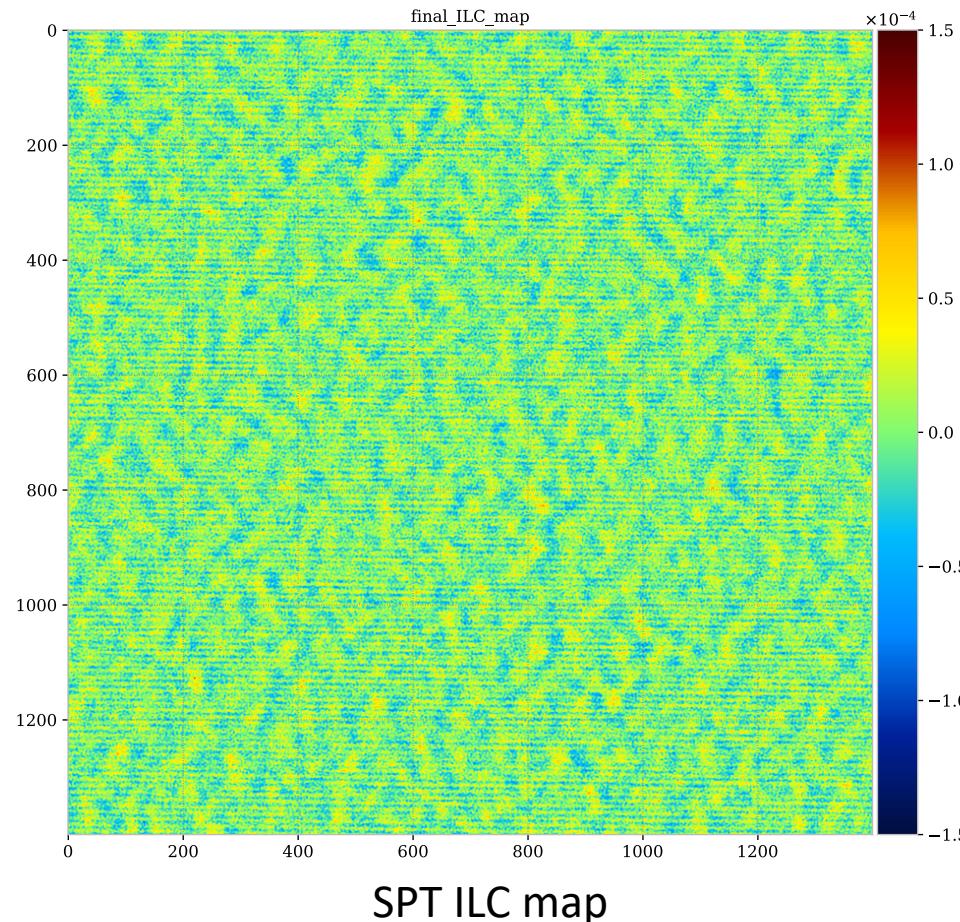
Planck ILC maps: large scales

$\langle M_r \rangle = 0.84 \pm 0.25$ (one simulation)



SPT ILC maps: small scales

$\langle M_r \rangle = 0.91 \pm 0.22$ (one simulation)

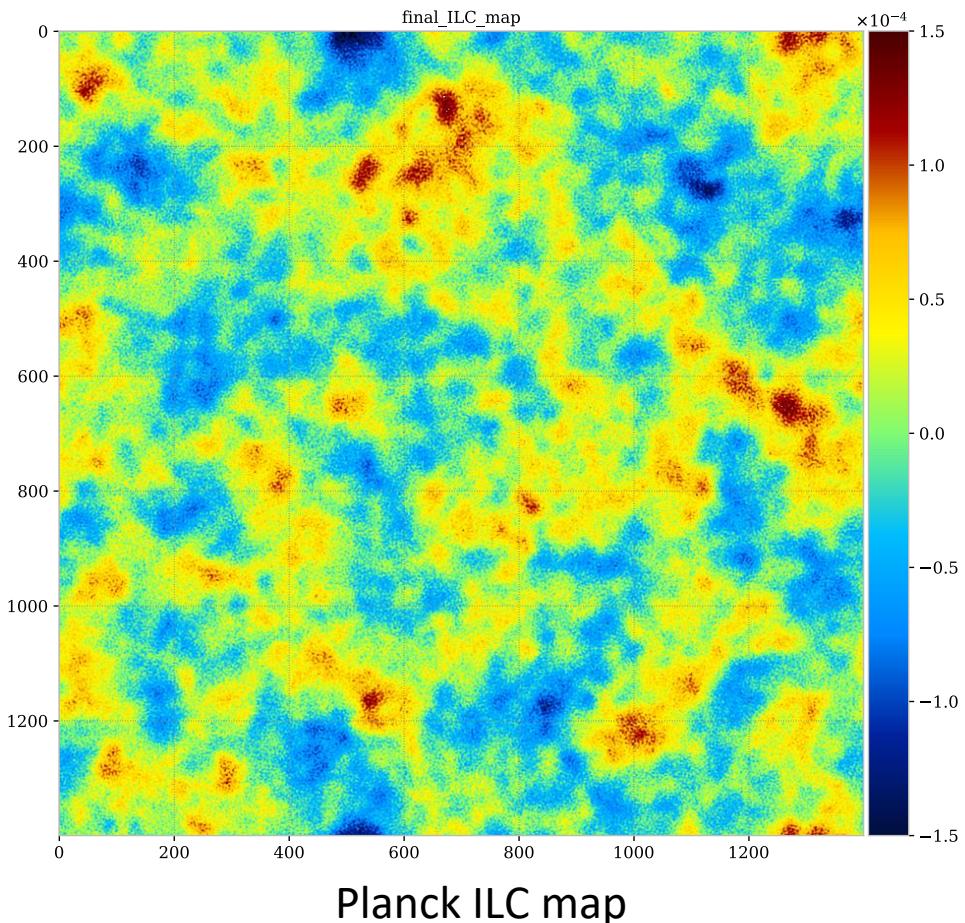


Final ILC maps for
the same location

... and the combination of both

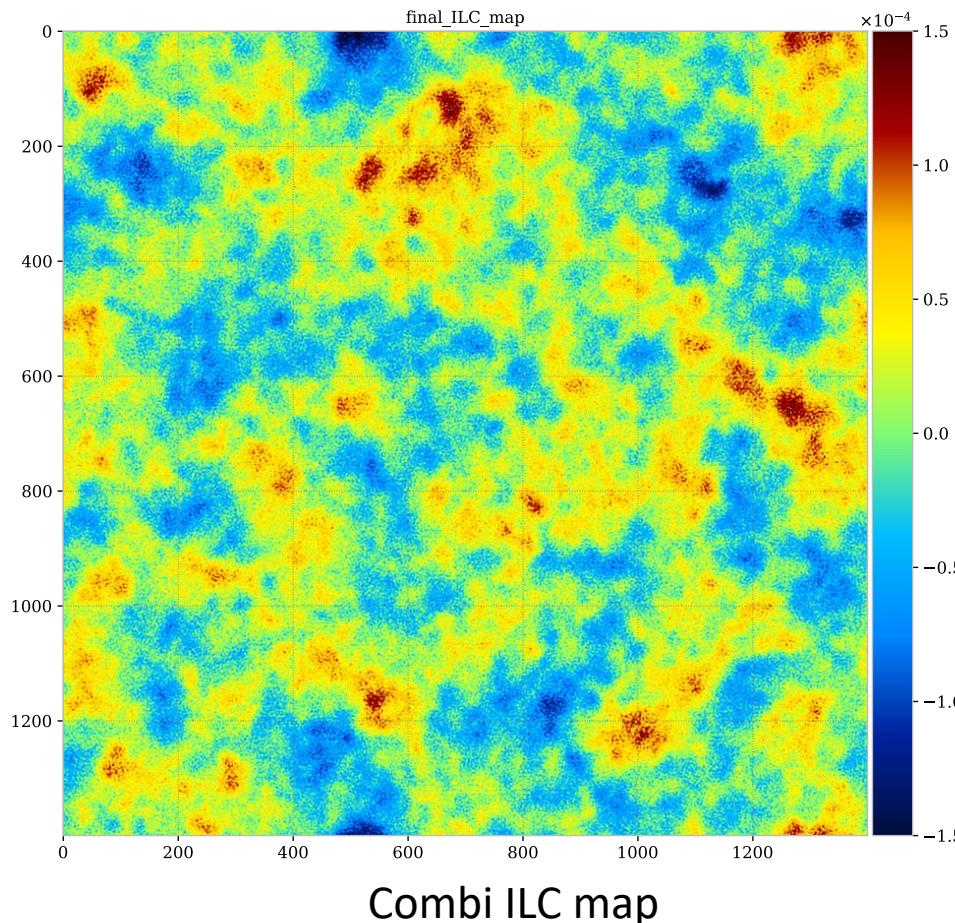
Planck: $\langle M_r \rangle = 0.84 \pm 0.25$ (one simulation)

SPT: $\langle M_r \rangle = 0.91 \pm 0.22$



Combination:

$\langle M_r \rangle = 0.88 \pm 0.17$

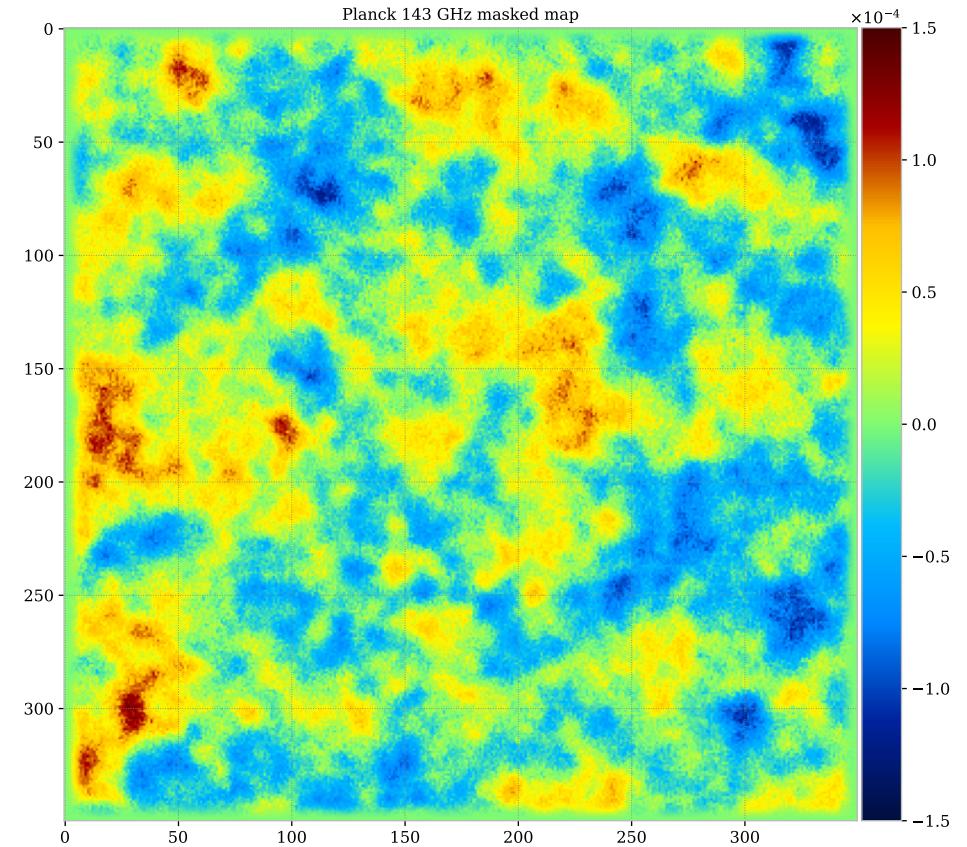
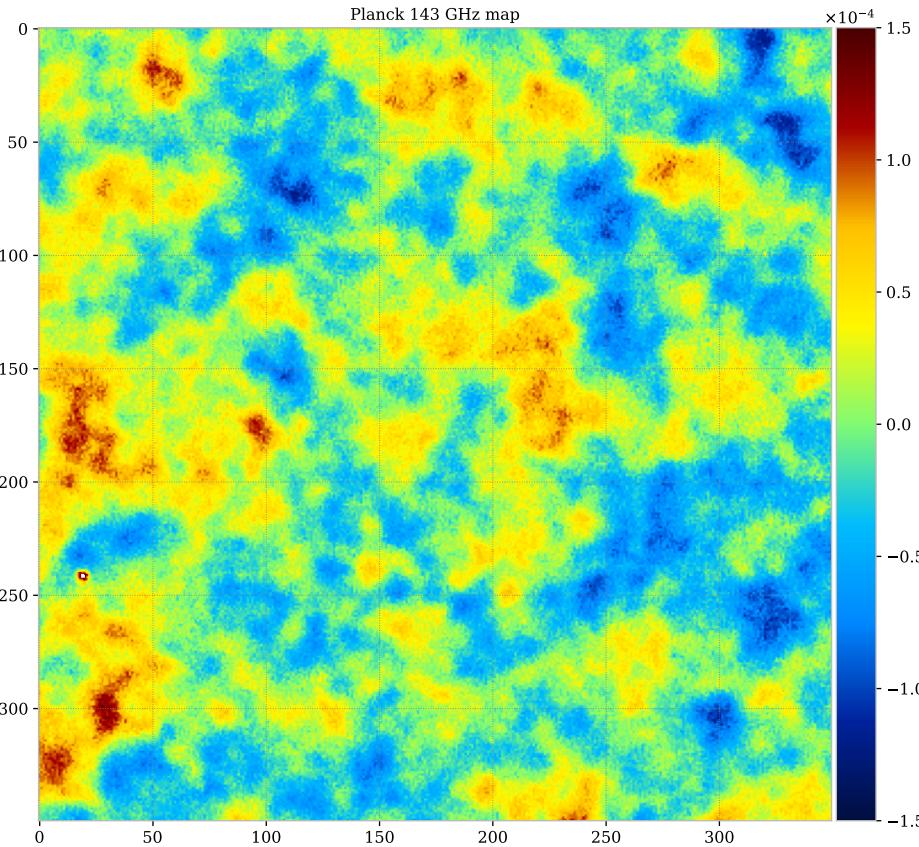


Final ILC maps for
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Real maps need to be cleaned

Points sources: replaced by gaussian field with CMB properties, continuity with vicinity

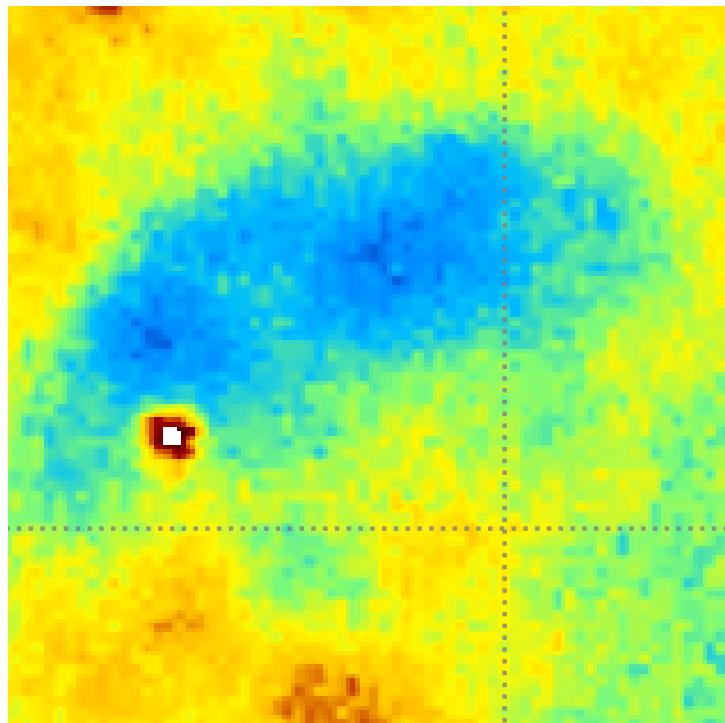
Maps not periodic: apodisation of the maps



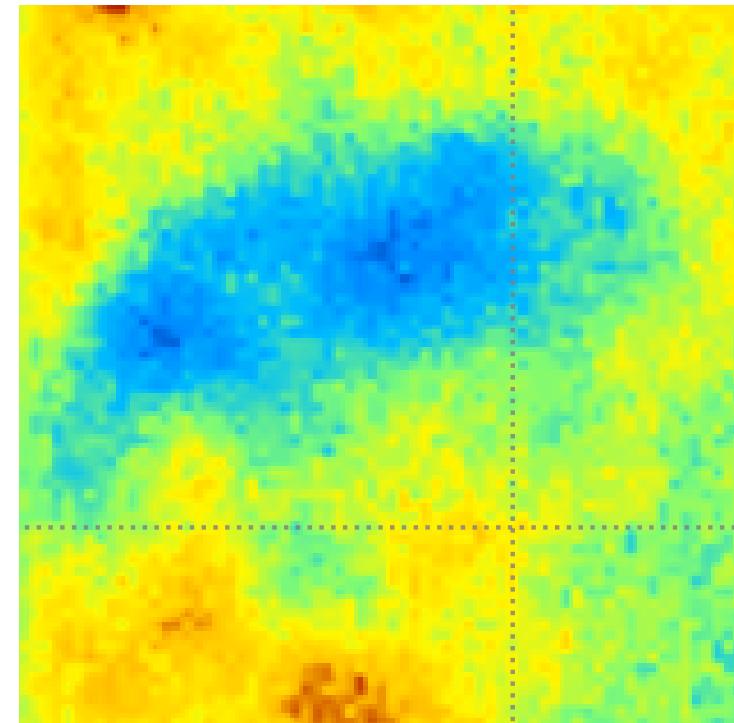
Real maps need to be cleaned

Points sources: replaced by gaussian field with CMB properties, continuity with vicinity
(Hoffman & Ribak 1991, Benoit-Lévy et al. 2013)

Maps not periodic: apodisation of the maps



Original map (zoom)

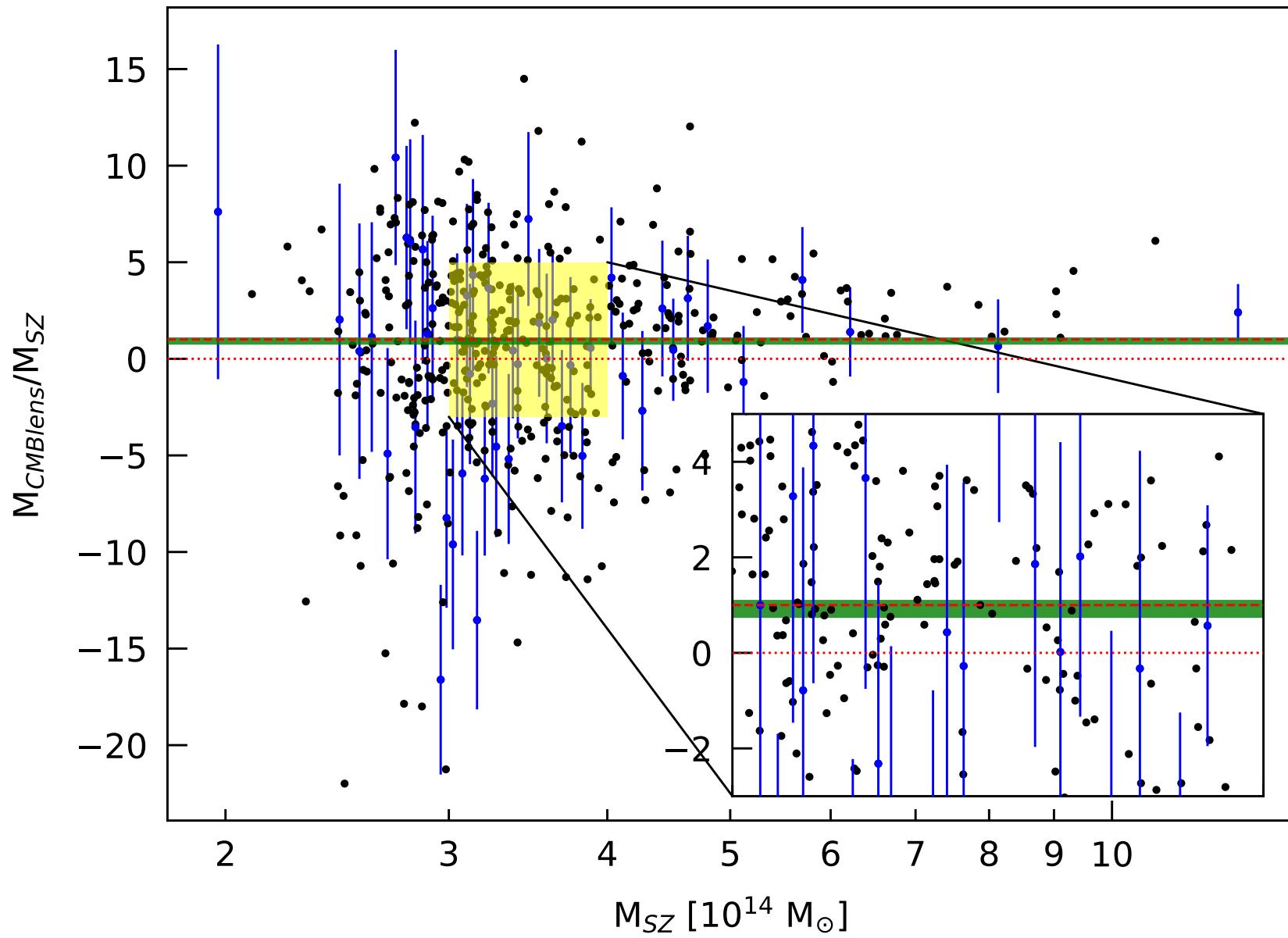


Masked map

Combined results (real)

- The point sources are masked
- The lensing due to foregrounds is subtracted using “off” measurements

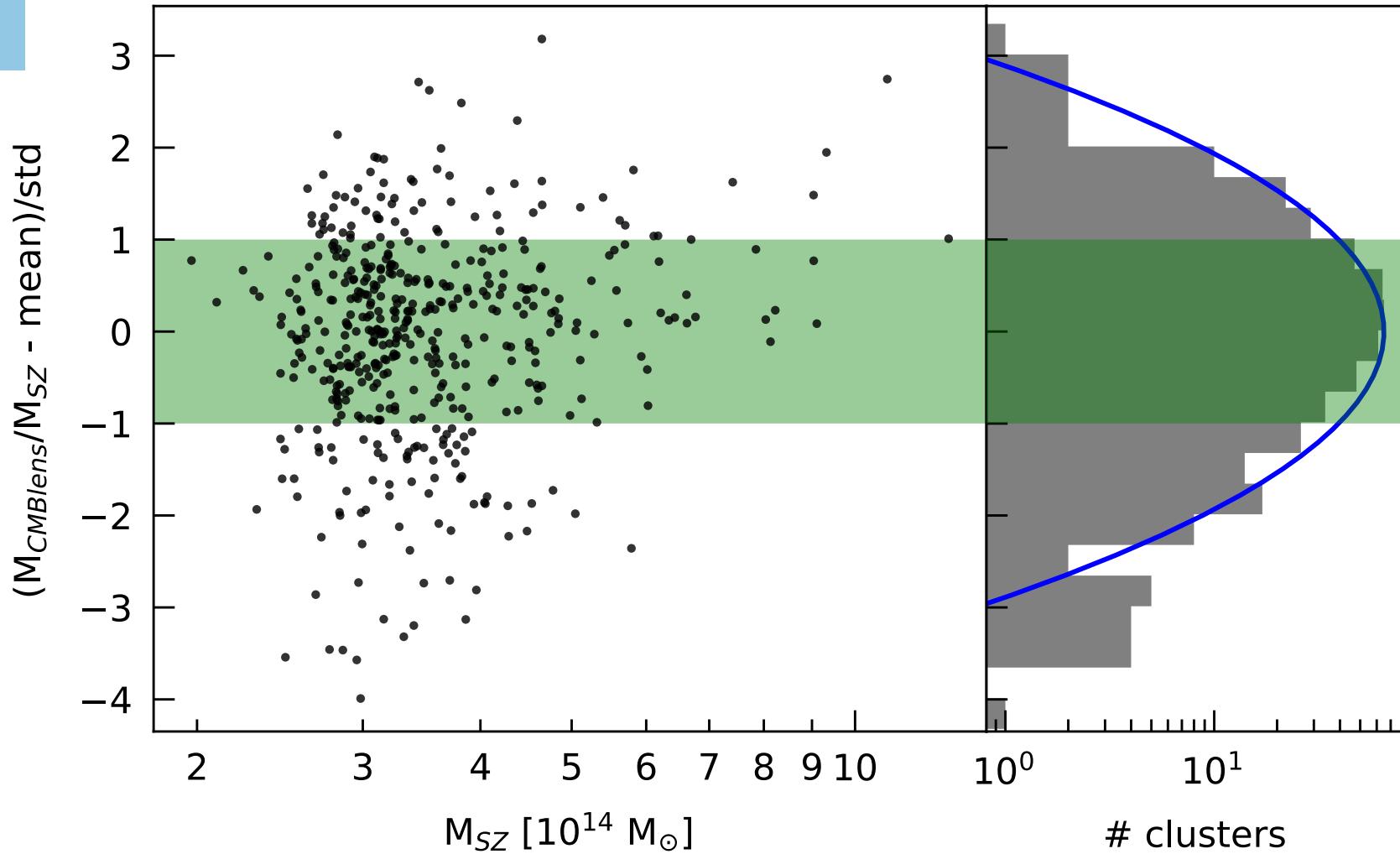
Averaging these measurements provides
 $\langle M_r \rangle = 0.92 \pm 0.19$,
compatible with one



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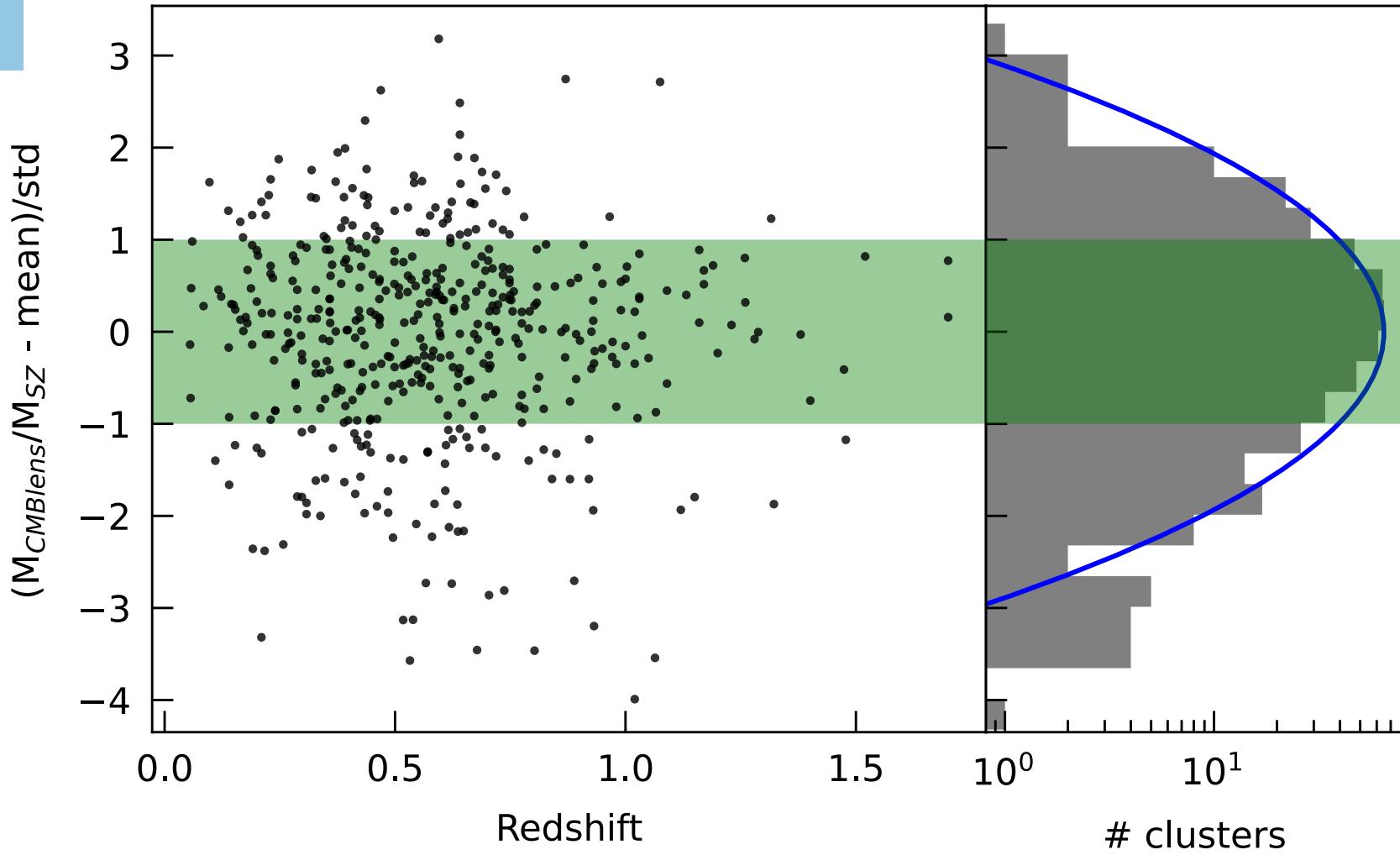
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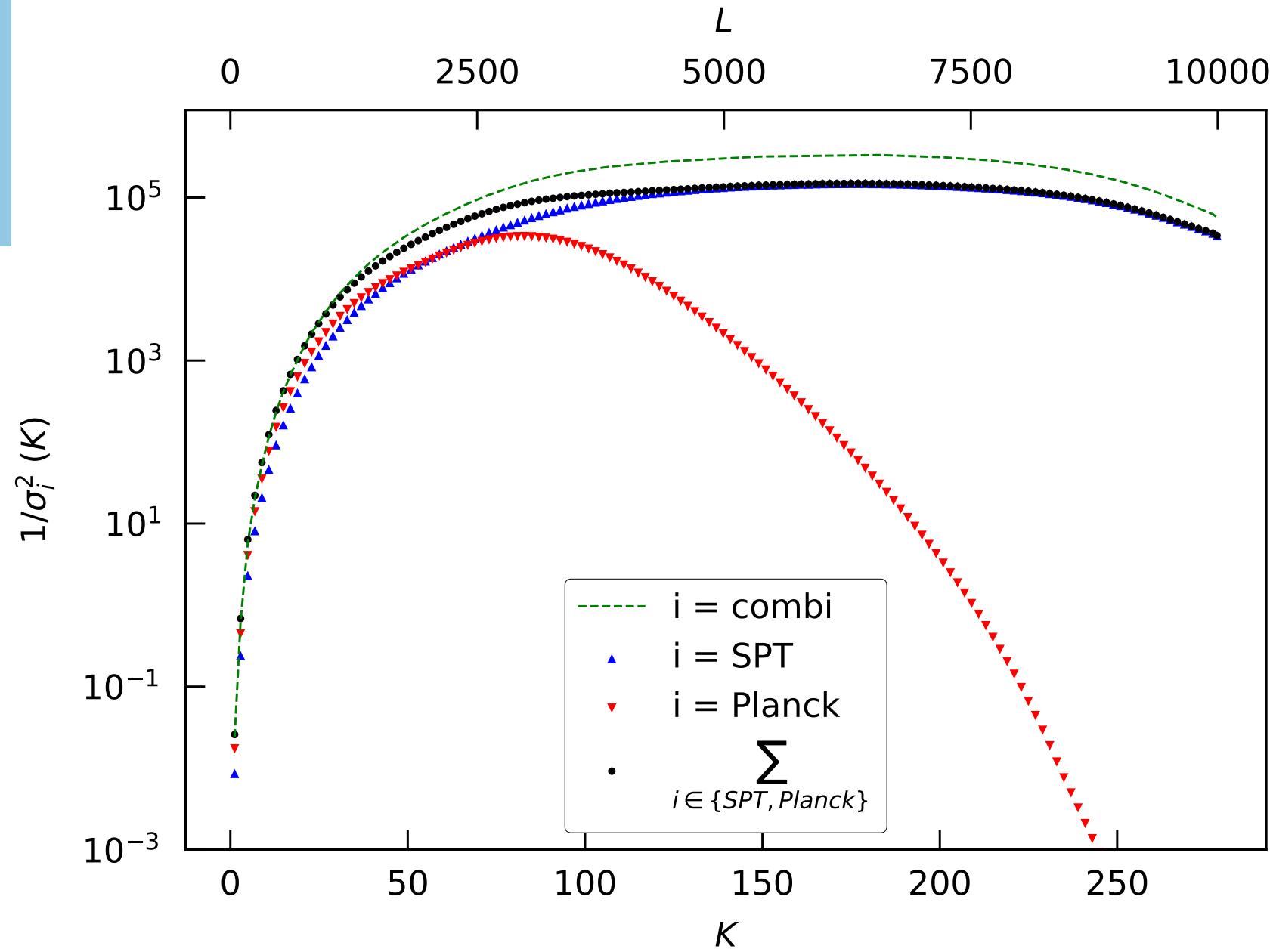


Combined ILC map

- Planck brings most of the information on large scales
- SPT on small scales
- We get a better precision at all scales, not only statistical precision

→ Complementarity

$$\Sigma = \frac{1}{\sigma_{planck}^2} + \frac{1}{\sigma_{SPT}^2} = ? \frac{1}{\sigma_{combi}^2}$$

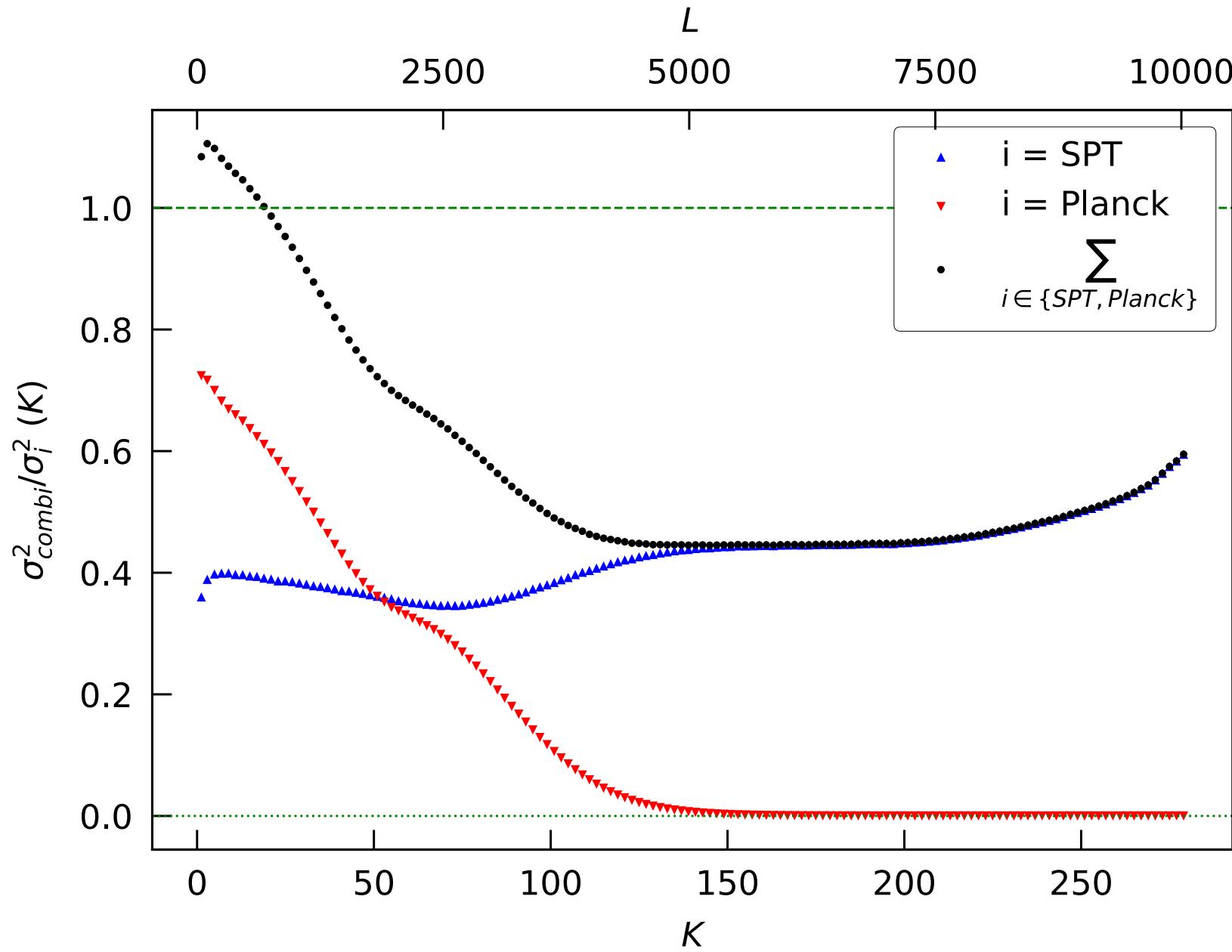


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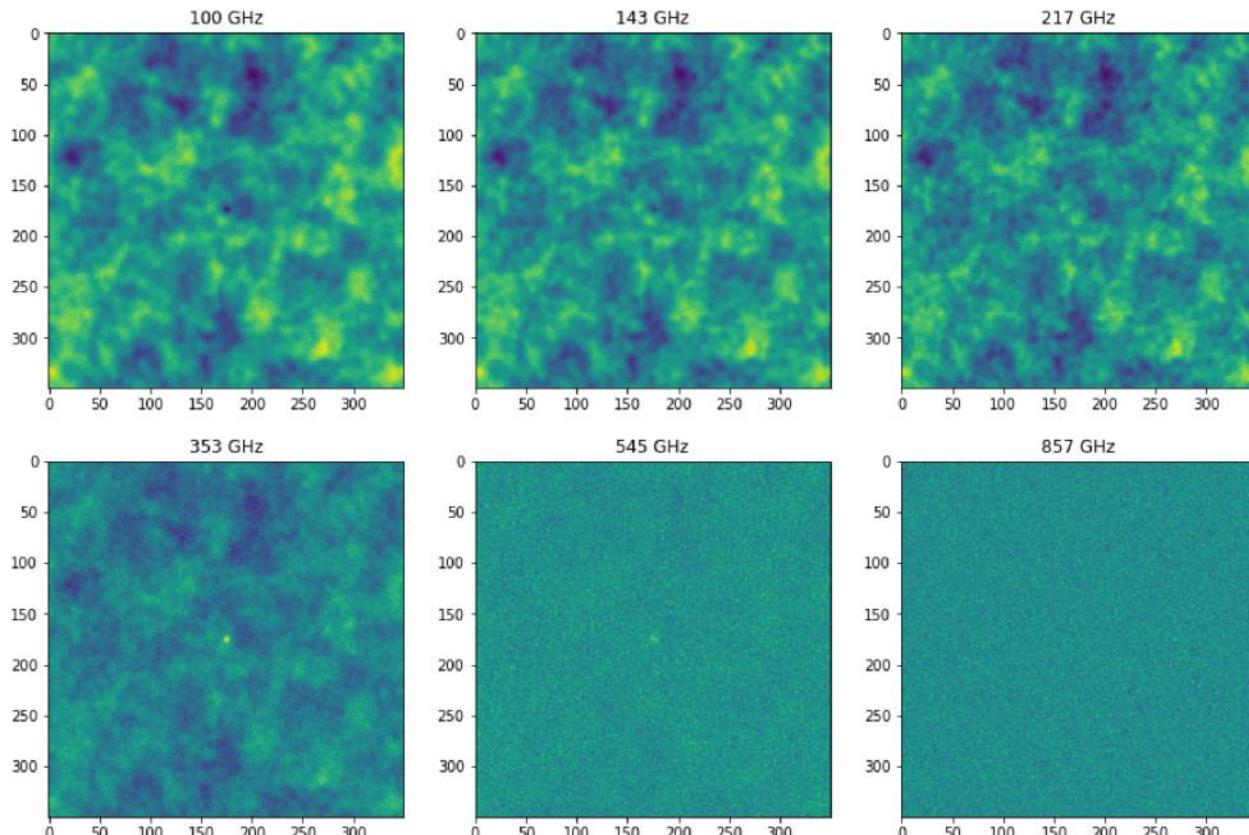


Summary

- First CMB-lensing galaxy cluster mass measurement using a **combination of ground and space-based surveys**
- Analysis tested on simulations and applied to actual SPT-SZ and Planck data
- We measure the signal at **4.8 sigma** on real data, a significant gain with respect to measurements performed on the two individual datasets
- Small increasing trend from McMBlens with respect to Msz still to be understood
- **Correlations** between the scales observed by SPT-SZ and the scales observed by Planck **improve** the constraints on the lensing potential
- Planck data will remain a key element in CMB-lensing cluster studies for decades to come

Backup slides

Internal Linear Combinations

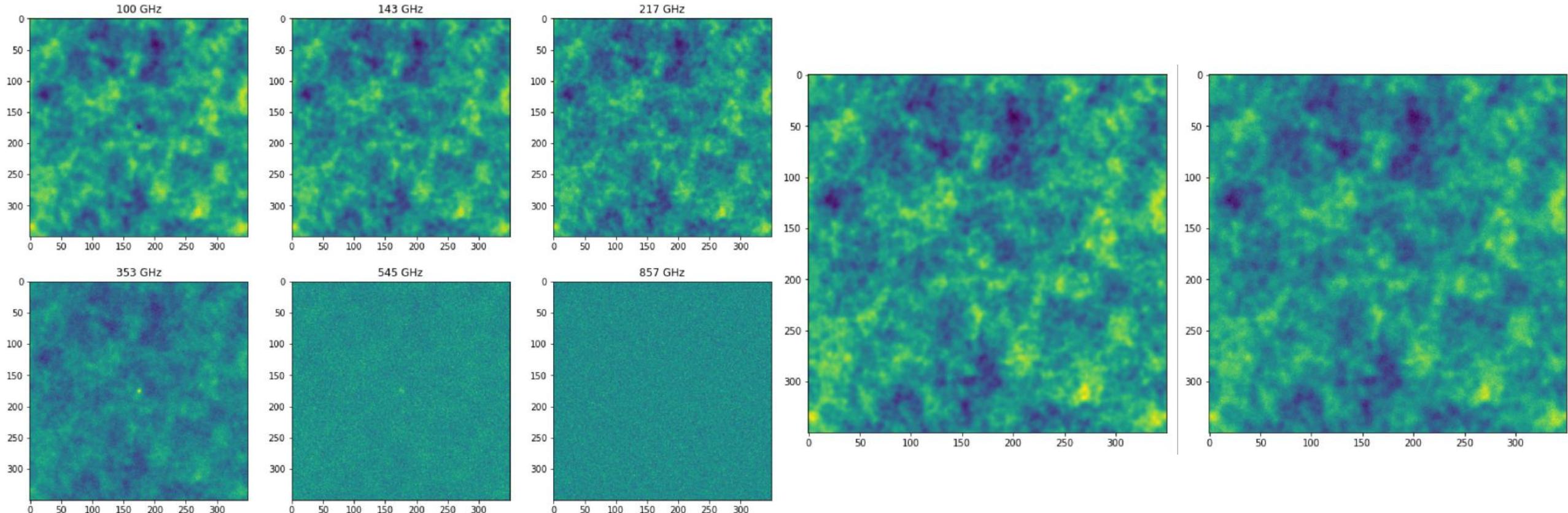


- **Contaminants:** SZ effect, foreground
 - **Instrumental characteristics:** PSF, noise
- Combine the maps at different frequencies to remove contaminants, easier when we know the recipe
→ Best lensed CMB map

$$\begin{cases} m_{\nu_0}(\mathbf{k}) = \alpha_{\nu_0} s(\mathbf{k}) + \beta_{\nu_0} y_{\nu_0}(\mathbf{k}) + n_{\nu_0}(\mathbf{k}) \\ m_{\nu_1}(\mathbf{k}) = \alpha_{\nu_1} s(\mathbf{k}) + \beta_{\nu_1} y_{\nu_1}(\mathbf{k}) + n_{\nu_1}(\mathbf{k}) \\ \dots \\ m_{\nu_5}(\mathbf{k}) = \alpha_{\nu_5} s(\mathbf{k}) + \beta_{\nu_5} y_{\nu_5}(\mathbf{k}) + n_{\nu_5}(\mathbf{k}) \end{cases}$$

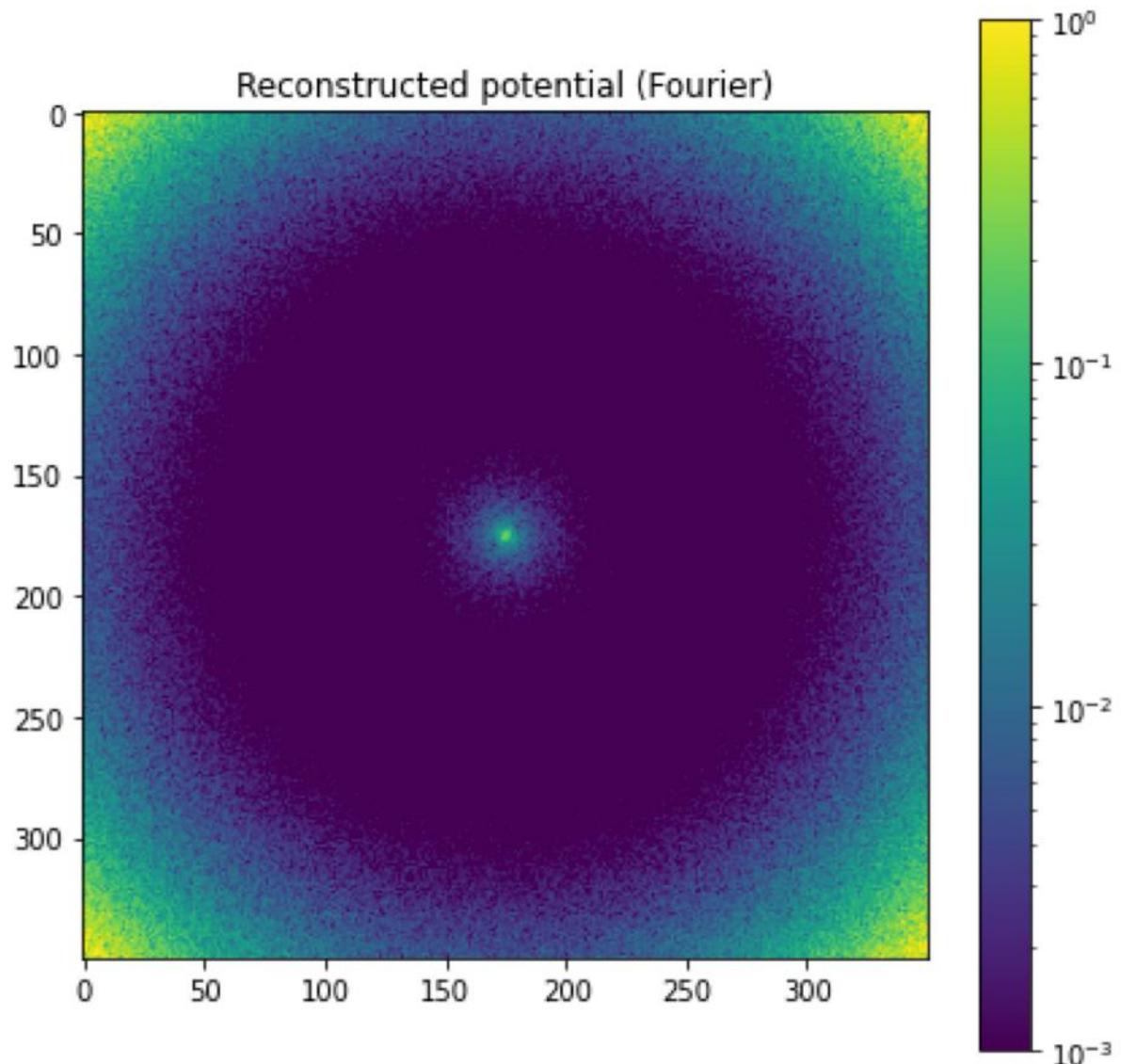
Internal Linear Combinations

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Lensing estimator

- The CMB k-modes (spatial frequencies, i.e. the different scales) are uncorrelated
- The CMB on our map is lensed, **inducing spatial correlations**
- Use these correlations to rebuild the lensing potential



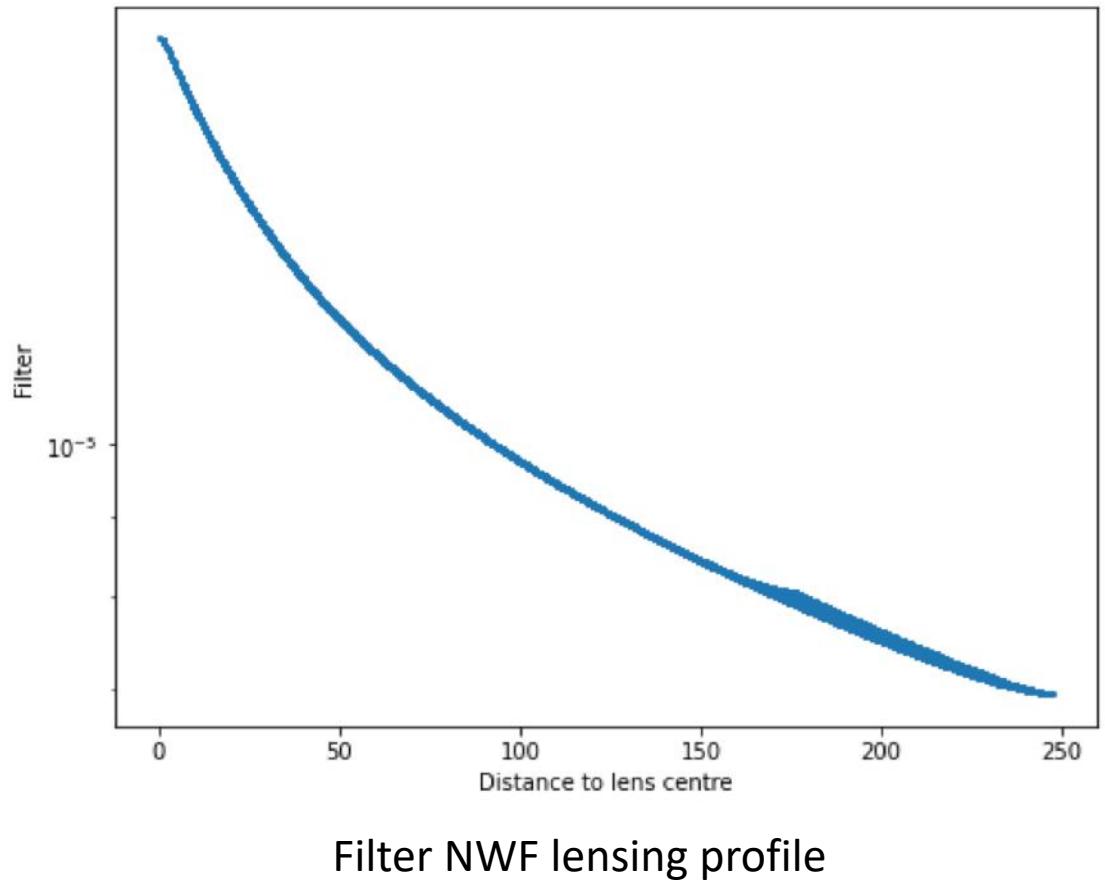
2D-Fourier transform of the reconstructed gravitational potential (small k-modes – large scales in the middle)

Matched filter

- Compares the obtained lensing potential to a NFW profile for a given mass
- We know the NFW profile used in the simulations
- Returns the estimation of the amplitude fitting best the NFW profile. For simulations, we expect to get, in average: $\frac{M_{measurement}}{M_{true}} = 1$

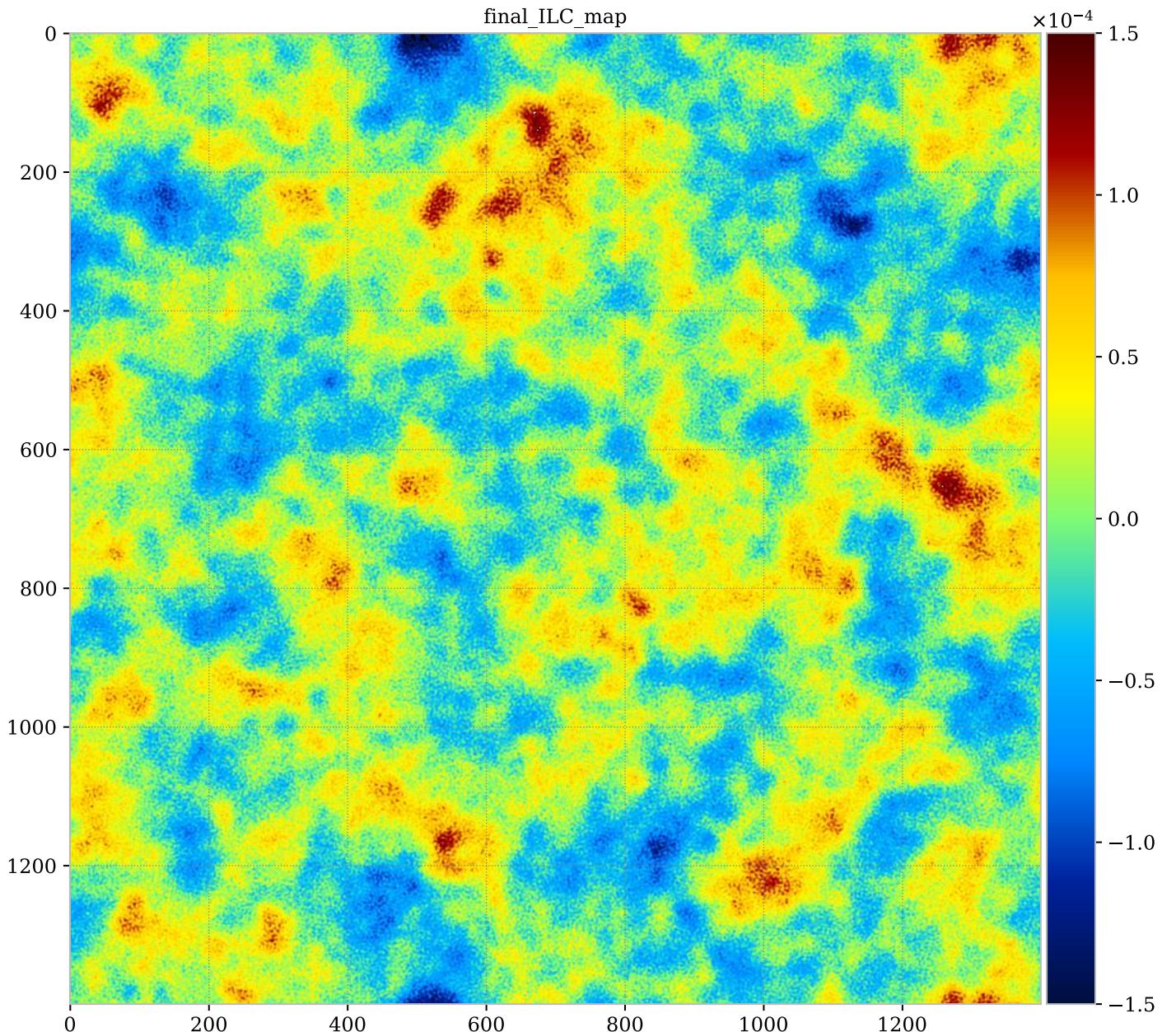
$$\hat{\phi}_0 = \left[\sum_K \frac{|\Phi(K)|^2}{A(K)} \right]^{-1} \sum_K \frac{\Phi^*(K)}{A(K)} \hat{\phi}(K)$$

NFW lensing potential Obtained lensing potential
Variance of measure obtained for K



Planck ILC map

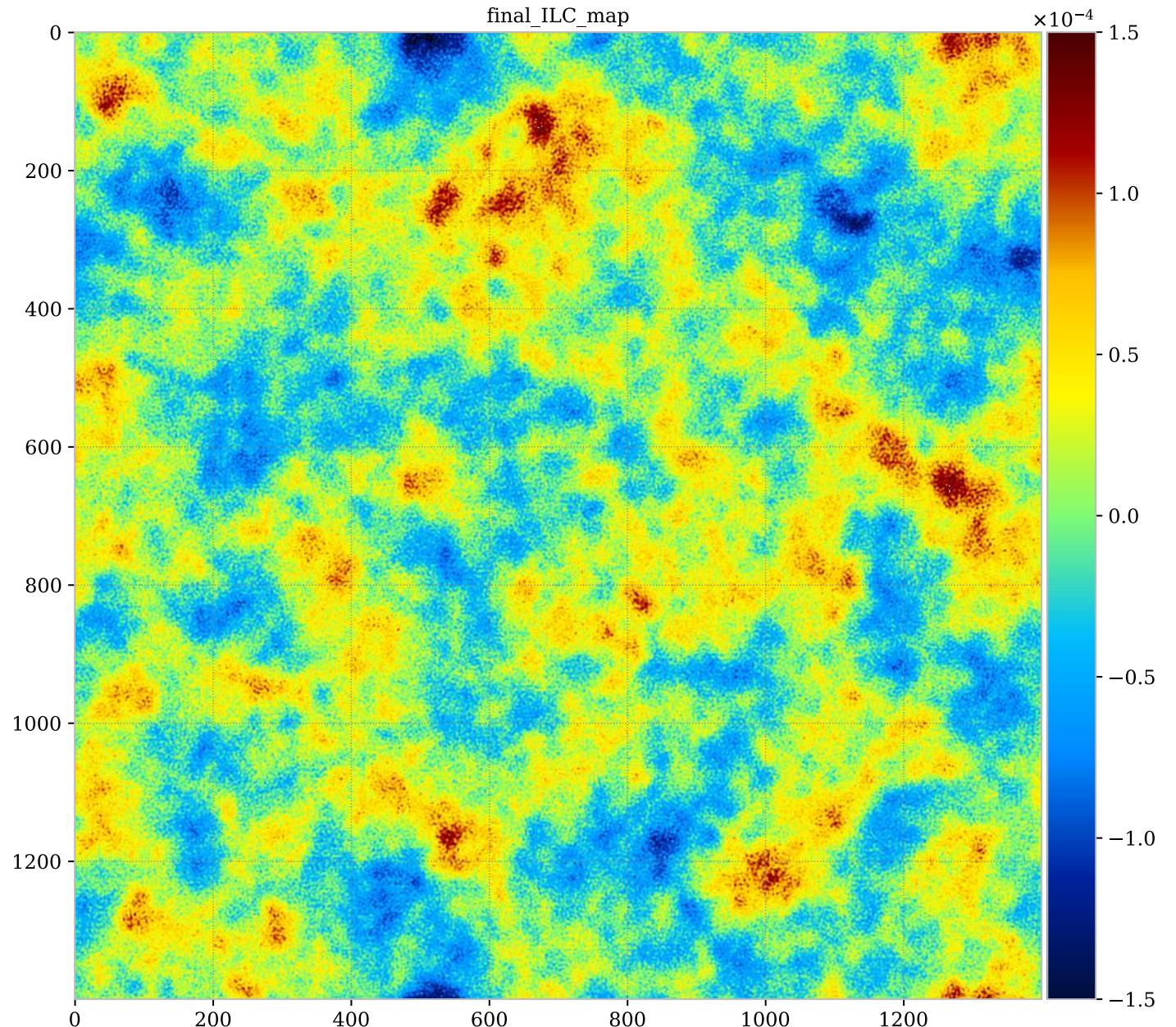
- For one simulated cluster
- No foreground simulated
- The map is periodic



Combined ILC map

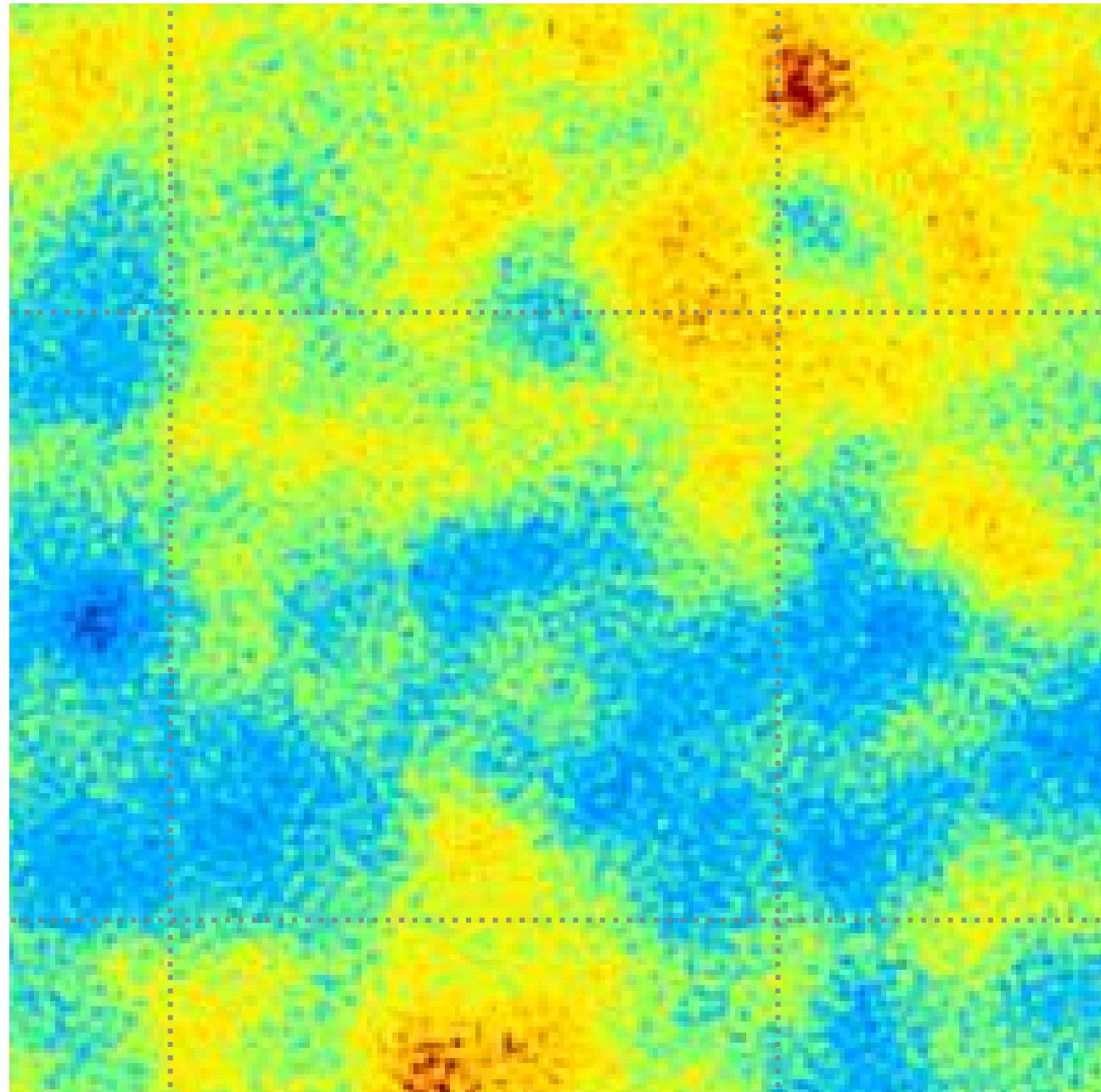
- Better small scales than Planck only
- The surveys really are complementary

$$\frac{1}{\sigma_{combi}^2} = \frac{1}{\sigma_{planck}^2} + \frac{1}{\sigma_{SPT}^2}$$



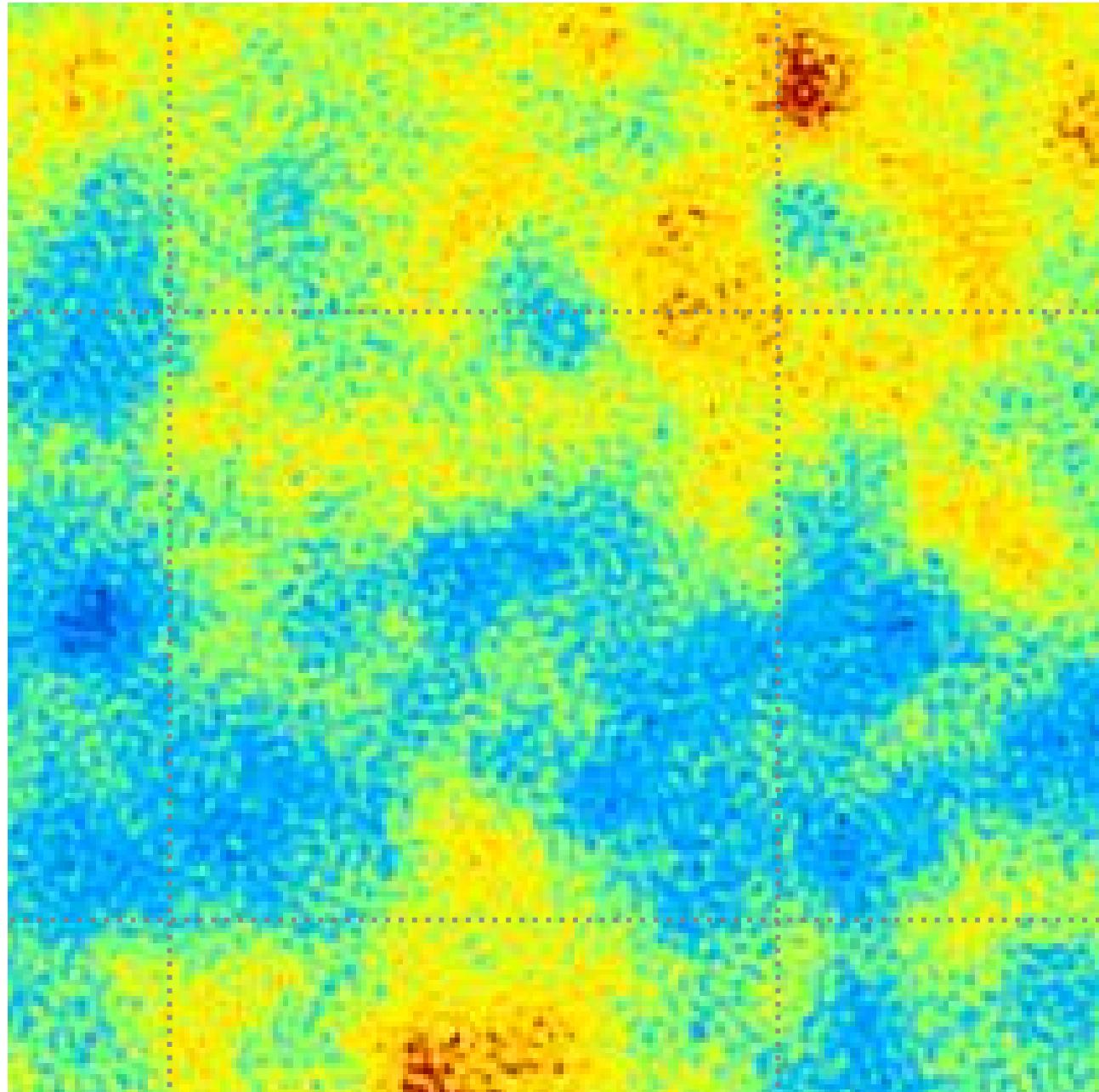
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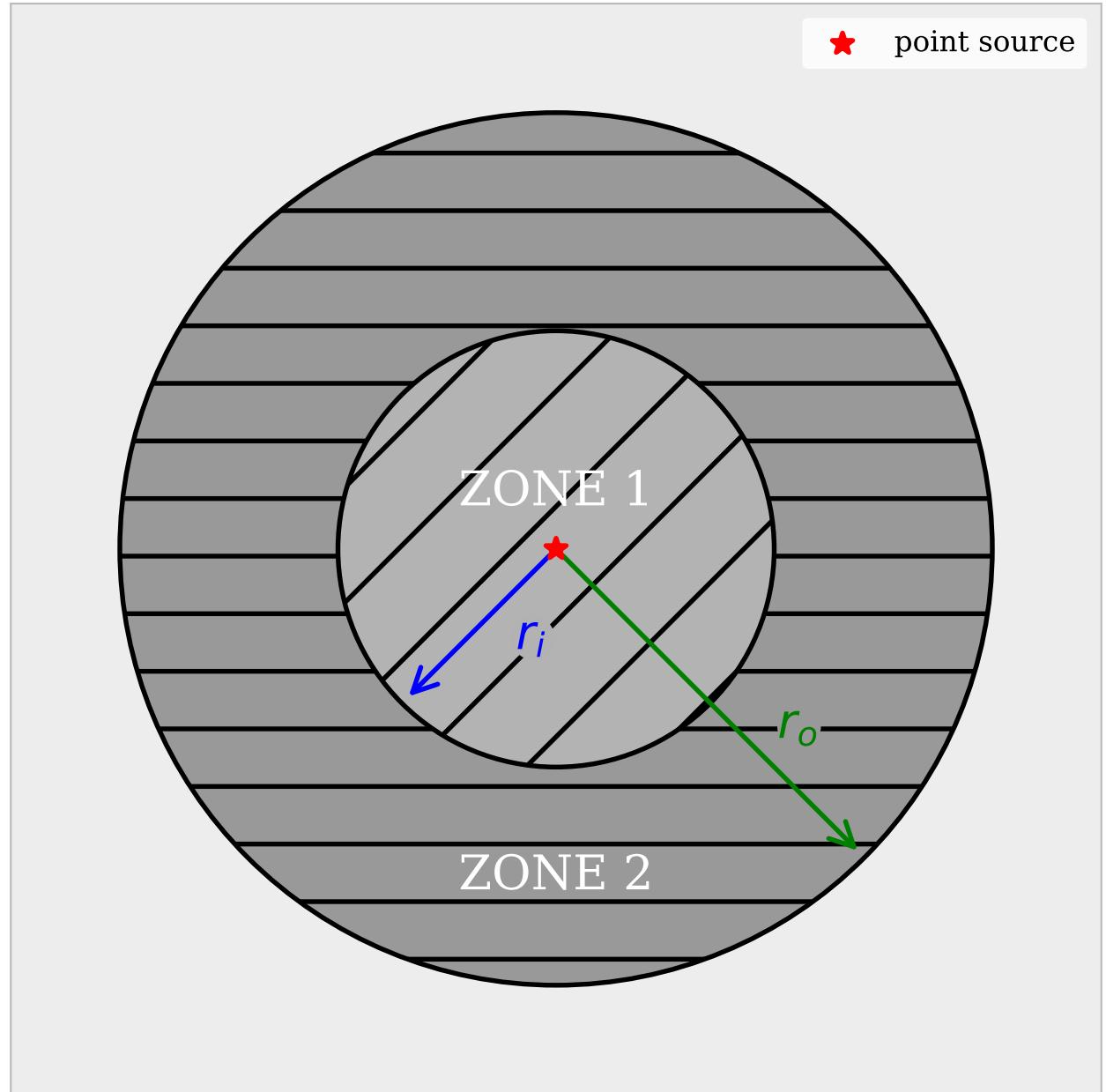
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- $\frac{1}{\sigma_{combi}^2} = \frac{1}{\sigma_{planck}^2} + \frac{1}{\sigma_{SPT}^2}$



Inpainting

To fill ZONE 1 with a realistic CMB compatible with ZONE 2:

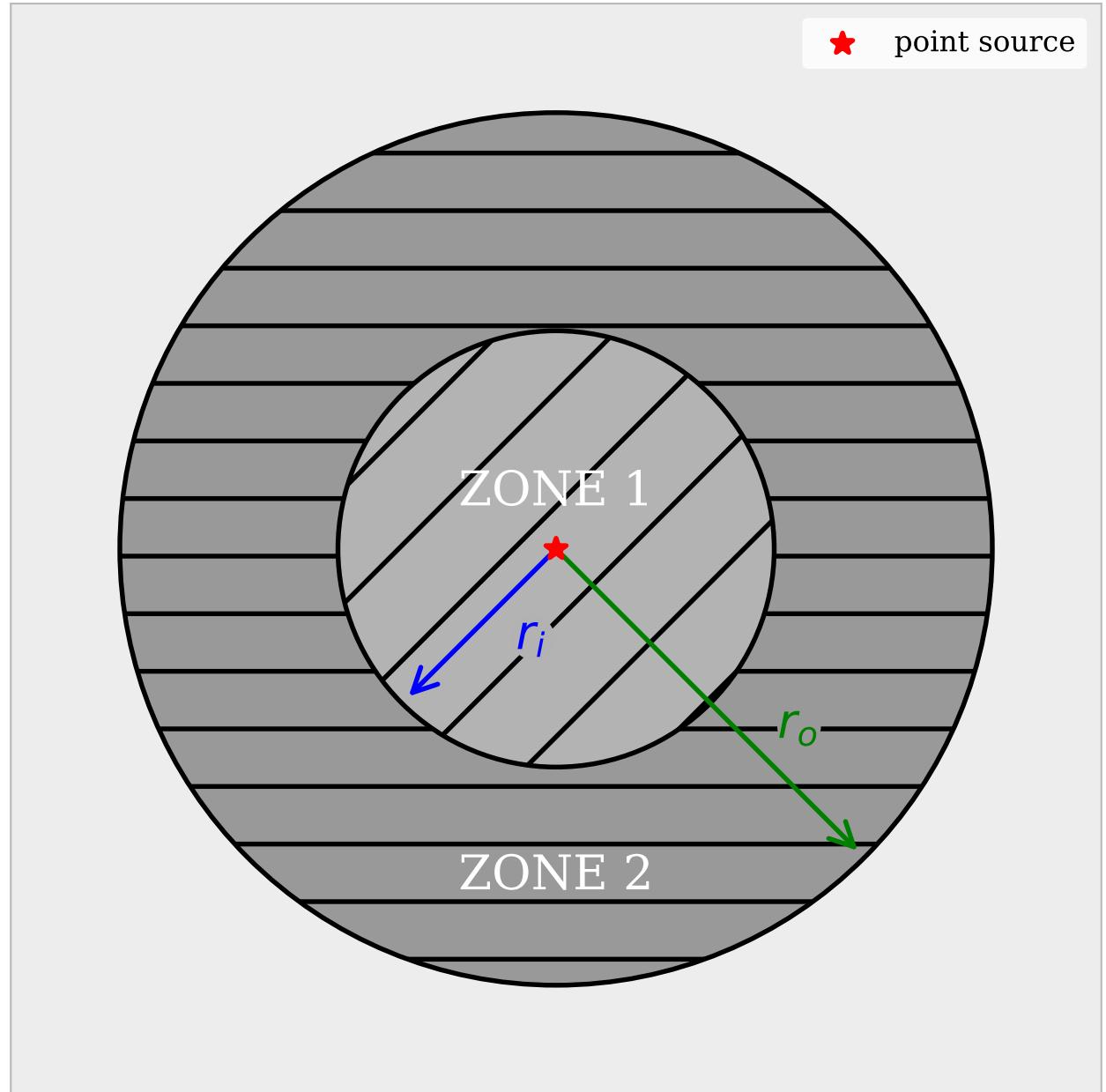
- Compute the correlation function / power spectrum of the map
- Create a CMB map with it
- Adapt the new CMB map to ensure continuity



Inpainting

To fill ZONE 1 with a realistic CMB compatible with ZONE 2:

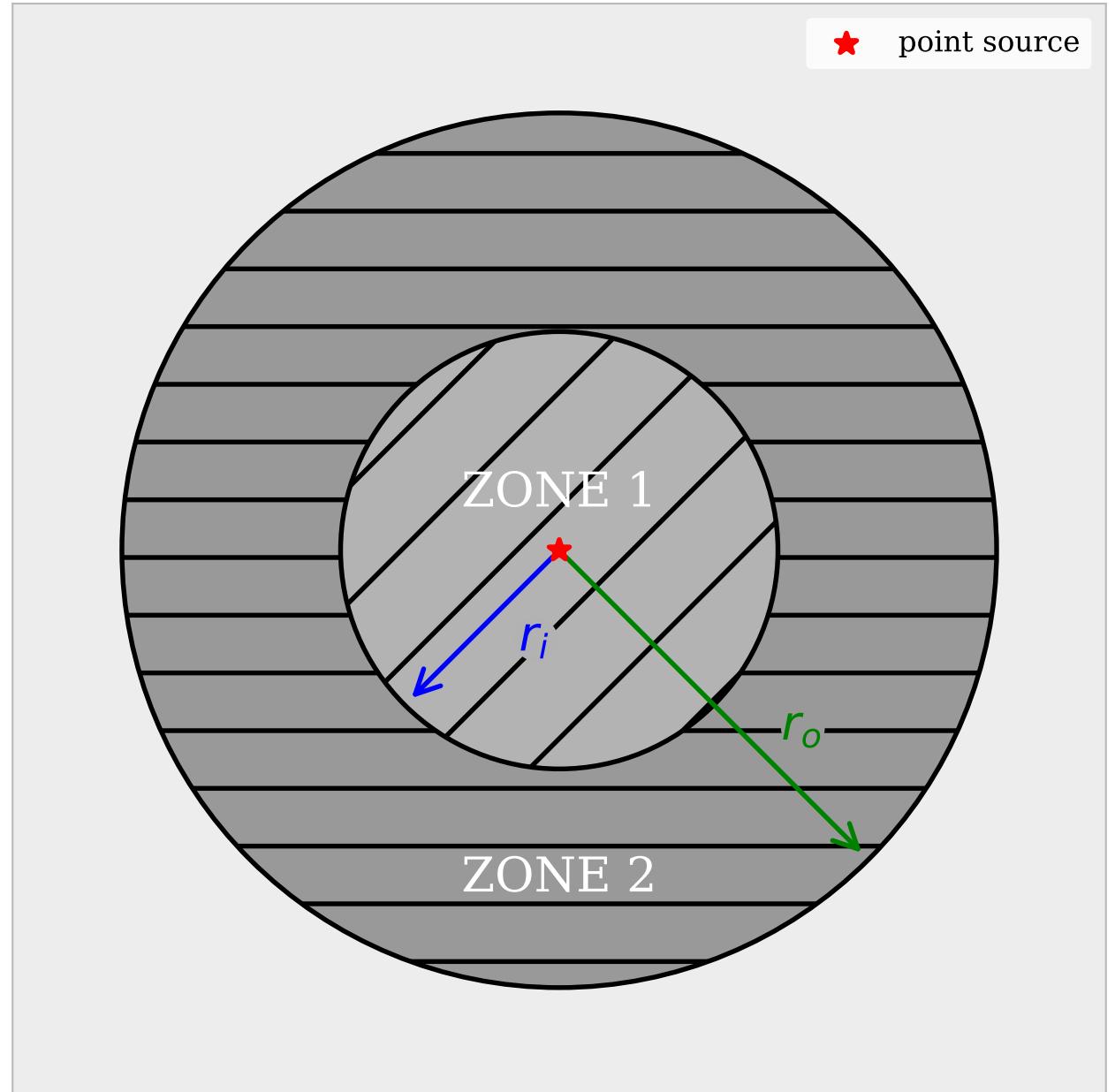
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Inpainting

- We want to fill ZONE 1 with a realistic CMB, compatible with ZONE 2
- We compute the correlation function / power spectrum of the map
- We create a CMB map with it

→ We now have to adapt the new CMB map to ensure continuity

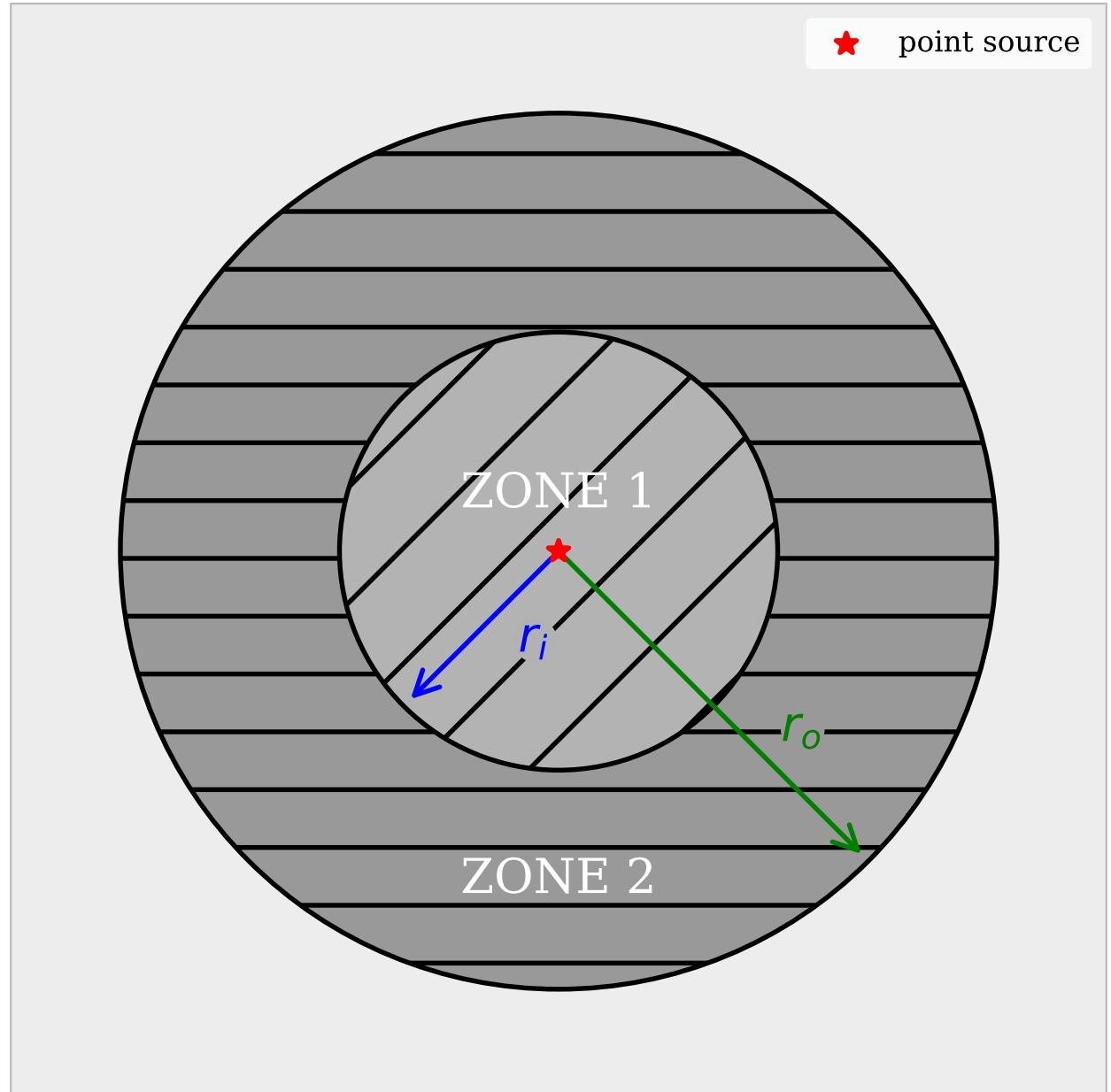


Inpainting

- The conditional probability distribution function of pixels in ZONE 1 constrained by pixels in ZONE 2 is a gaussian

$$\mathcal{P}(p_1|Z_2) = \frac{\mathcal{P}(Z_2|p_1)\mathcal{P}(p_1)}{\mathcal{P}(Z_2)}$$

- We keep the random deviations from the realization but use the mean of the PDF of the real map

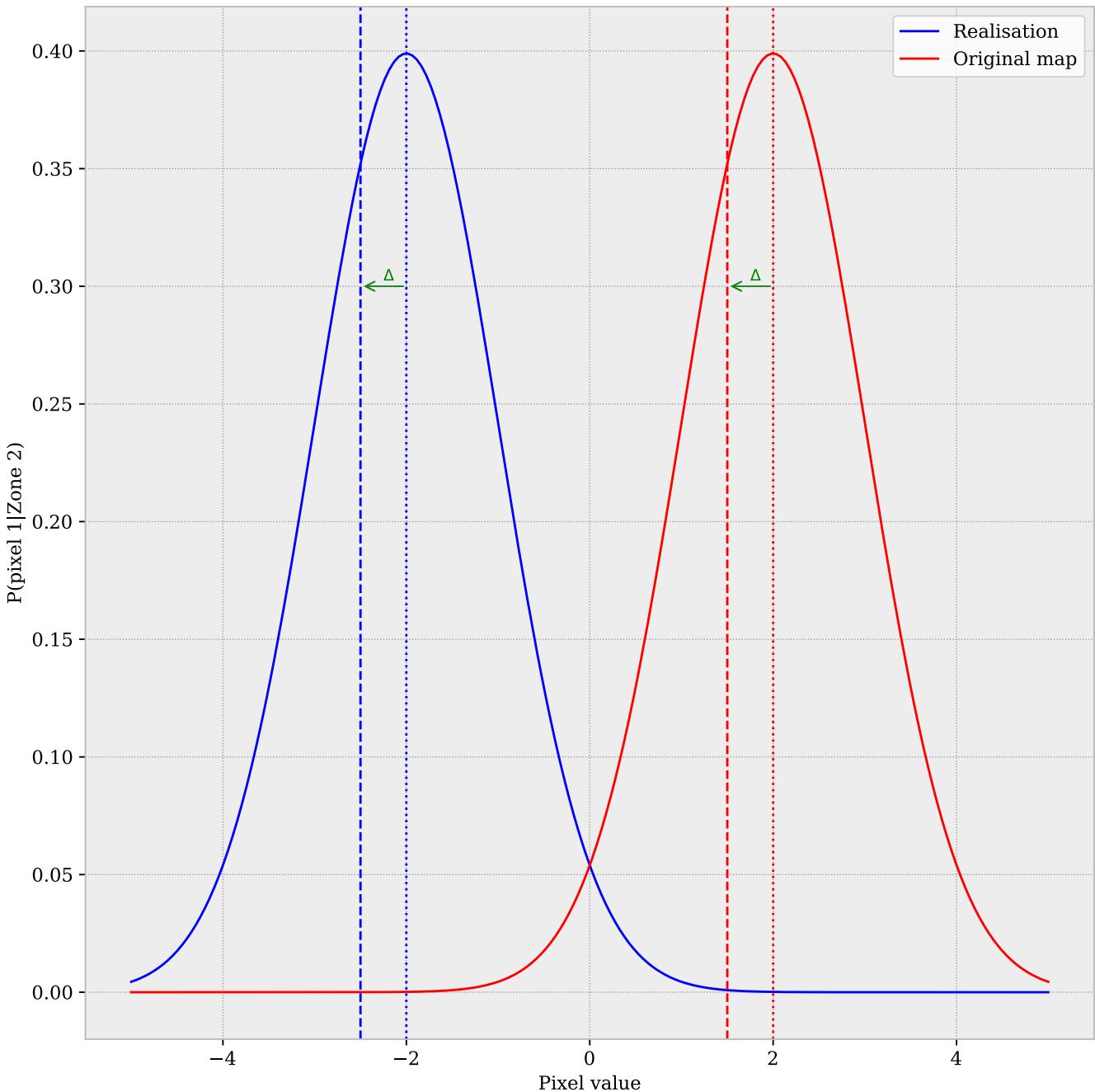


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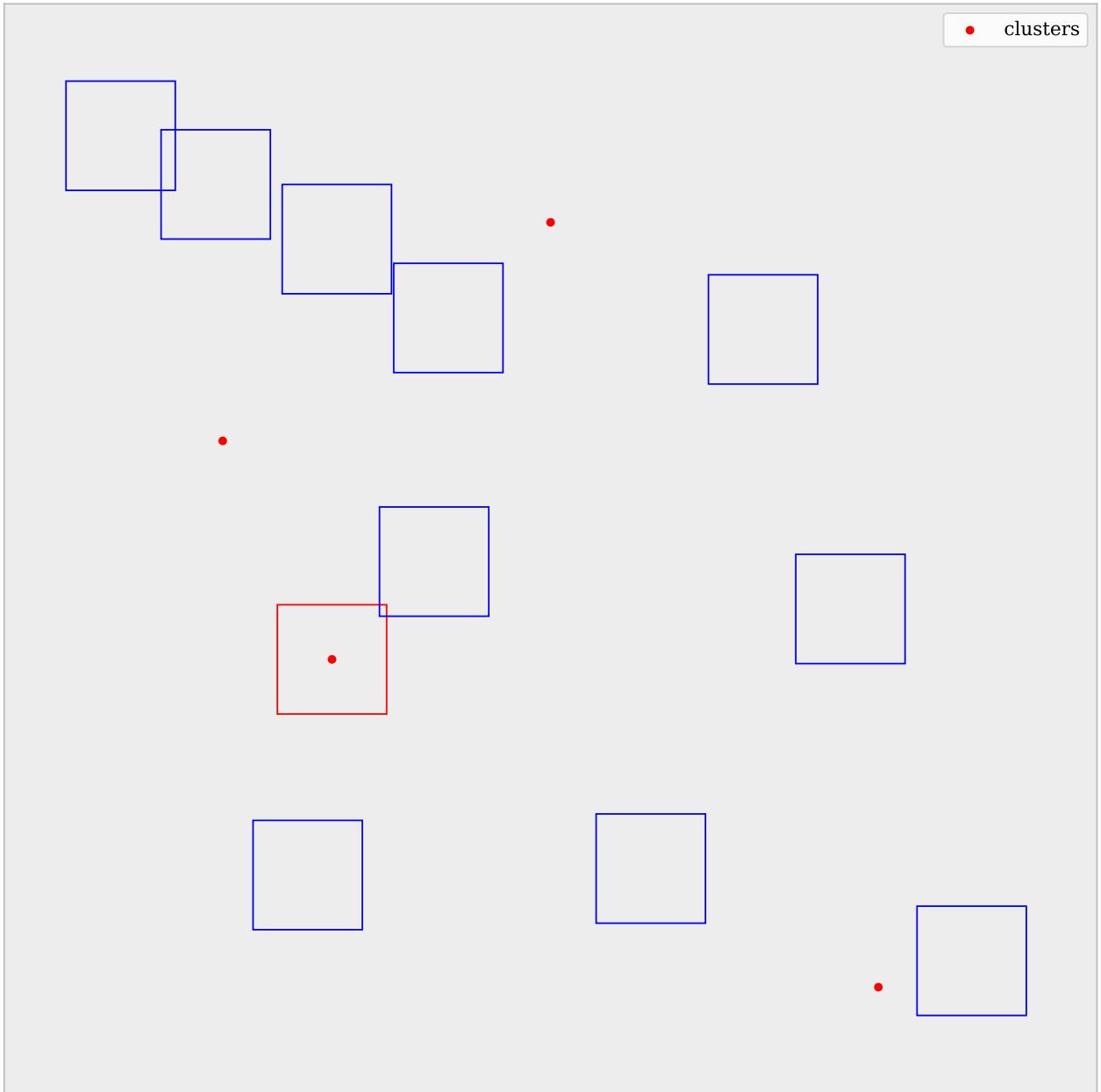


Bias in the lensing!

- Massive **foreground** objects have a lensing effect
- Having **non periodic** maps creates another bias
- These biases **can be corrected** by “off” measurements

→ We draw 10 **random** “off” maps **not centered on a cluster** for each “on” map and run the analysis on them

→ Final result is **on - off**



For one “on” map, we cut 10 “off” maps in the sky map

Systematic effect

- Different effects must be taken into account
- The baseline analysis uses a profile up to 3 x r₅₀₀
- Relativistic SZ effect might integrate baseline

Effect	$\Delta \frac{M_{CMB\text{lens}}}{M_{SZ}}$
Profile up to 3×r ₅₀₀	+0.020
Profile up to 7×r ₅₀₀	-0.023
Relativistic SZ	+0.029
Misscentering	-0.0086
Error on z	±0.00083
Error on M ₅₀₀	±0.0065
