

PBH from domain wall networks

Motivated by PTA signal

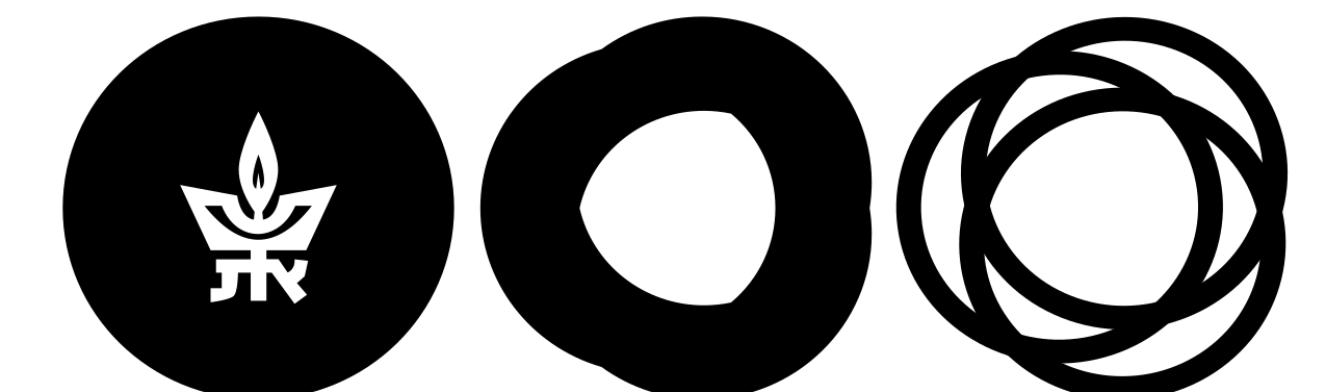
Yann Gouttenoire



Axion ++ conference in Annecy

27th September 2023

Postdoc in Tel Aviv U.

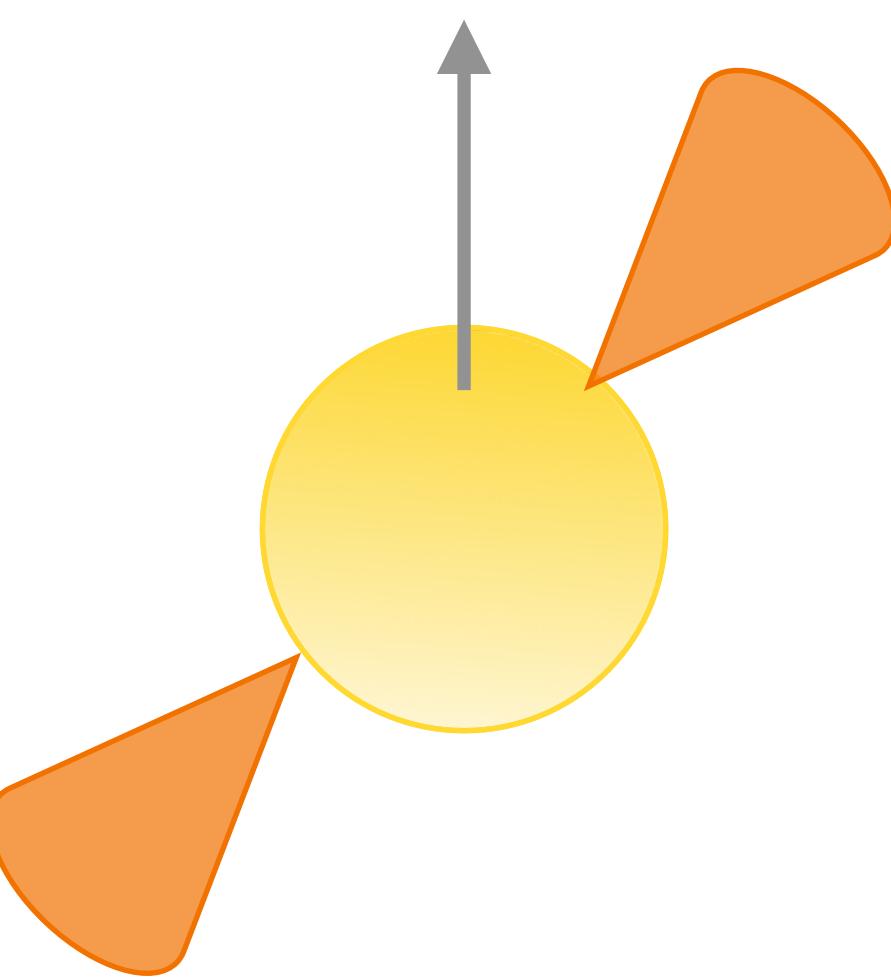
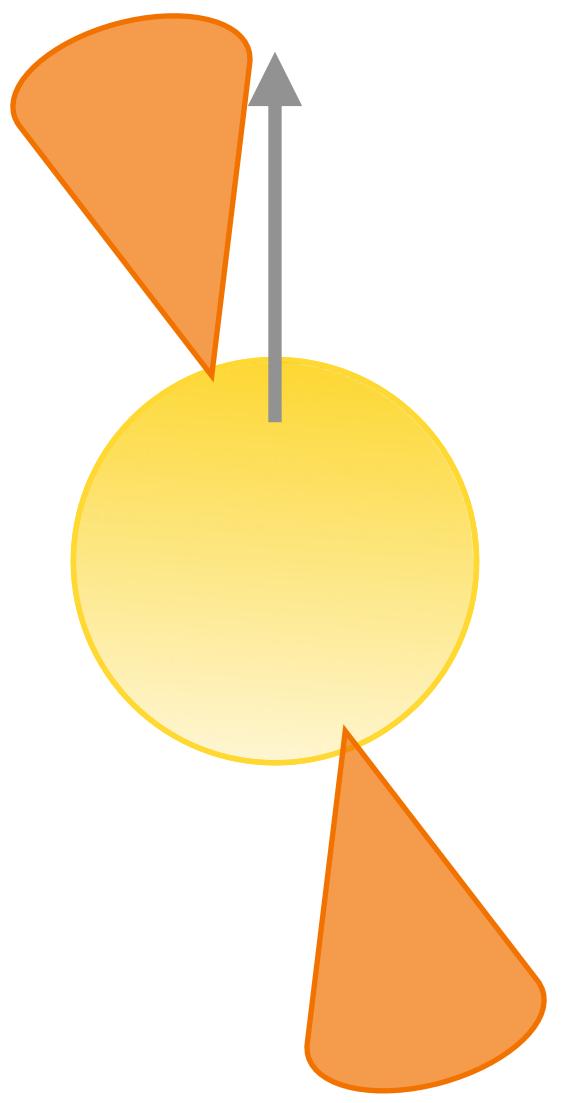


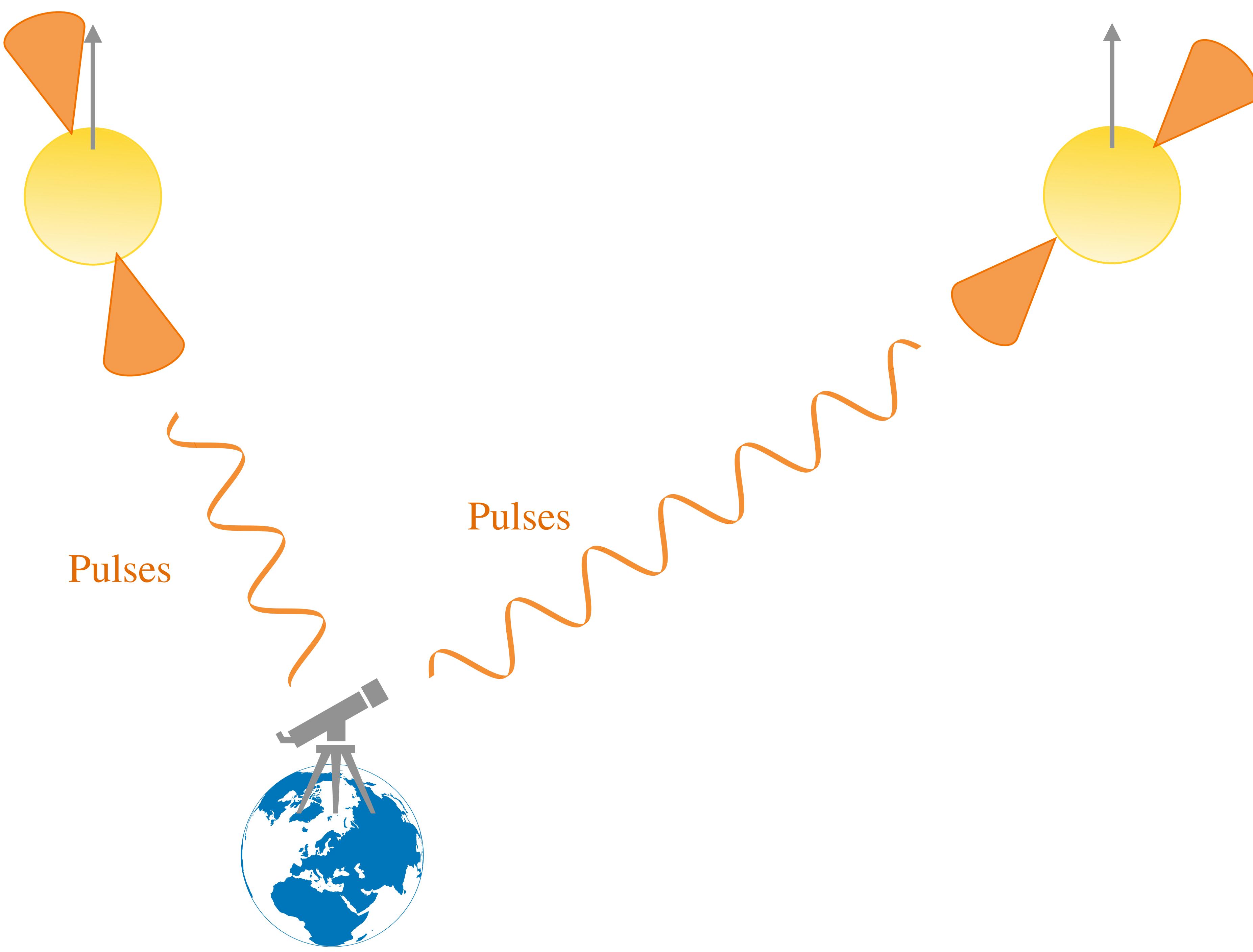
TEL AVIV UNIVERSITY

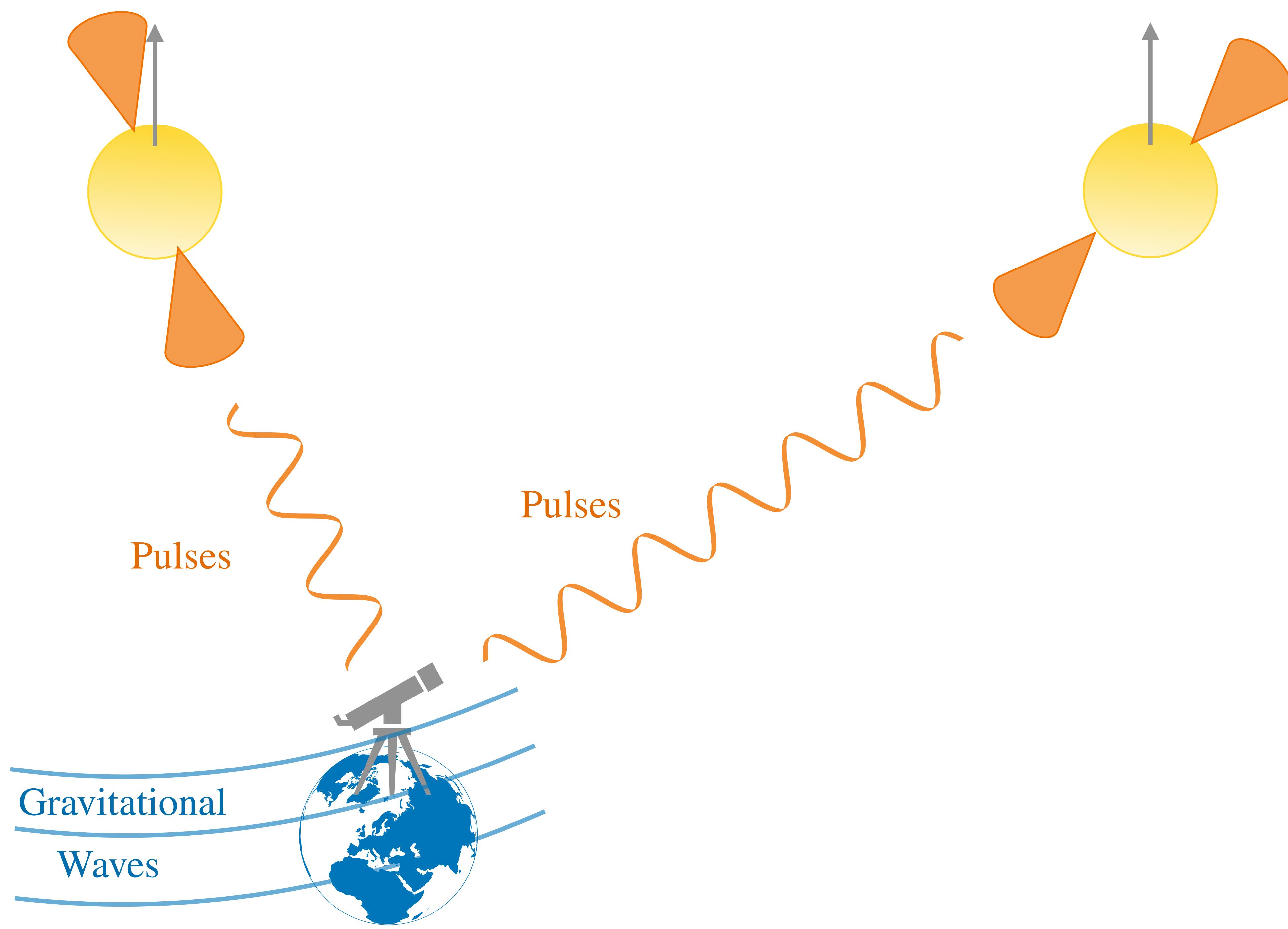
Sponsored by

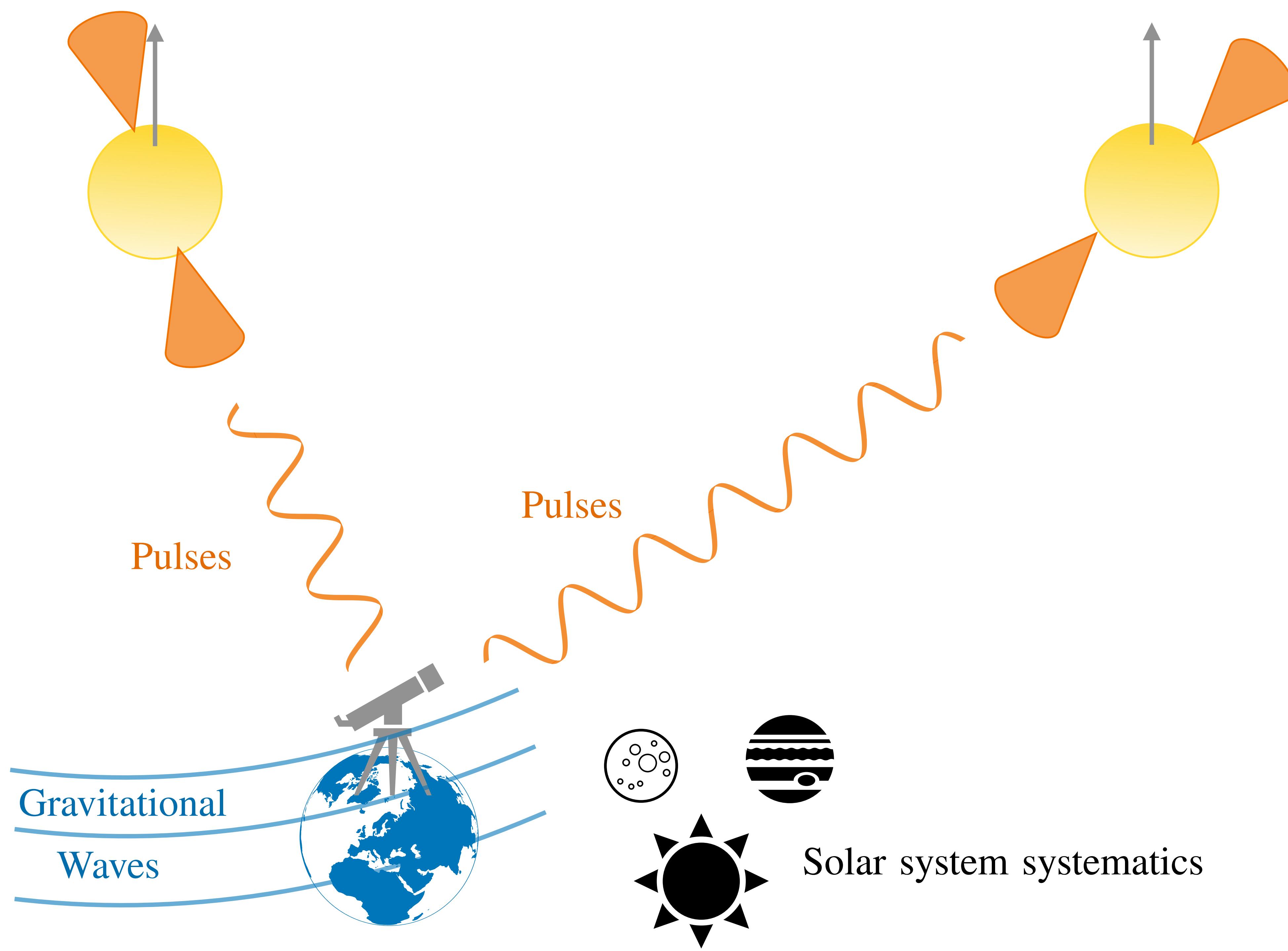
Azrieli International Postdoctoral Fellows

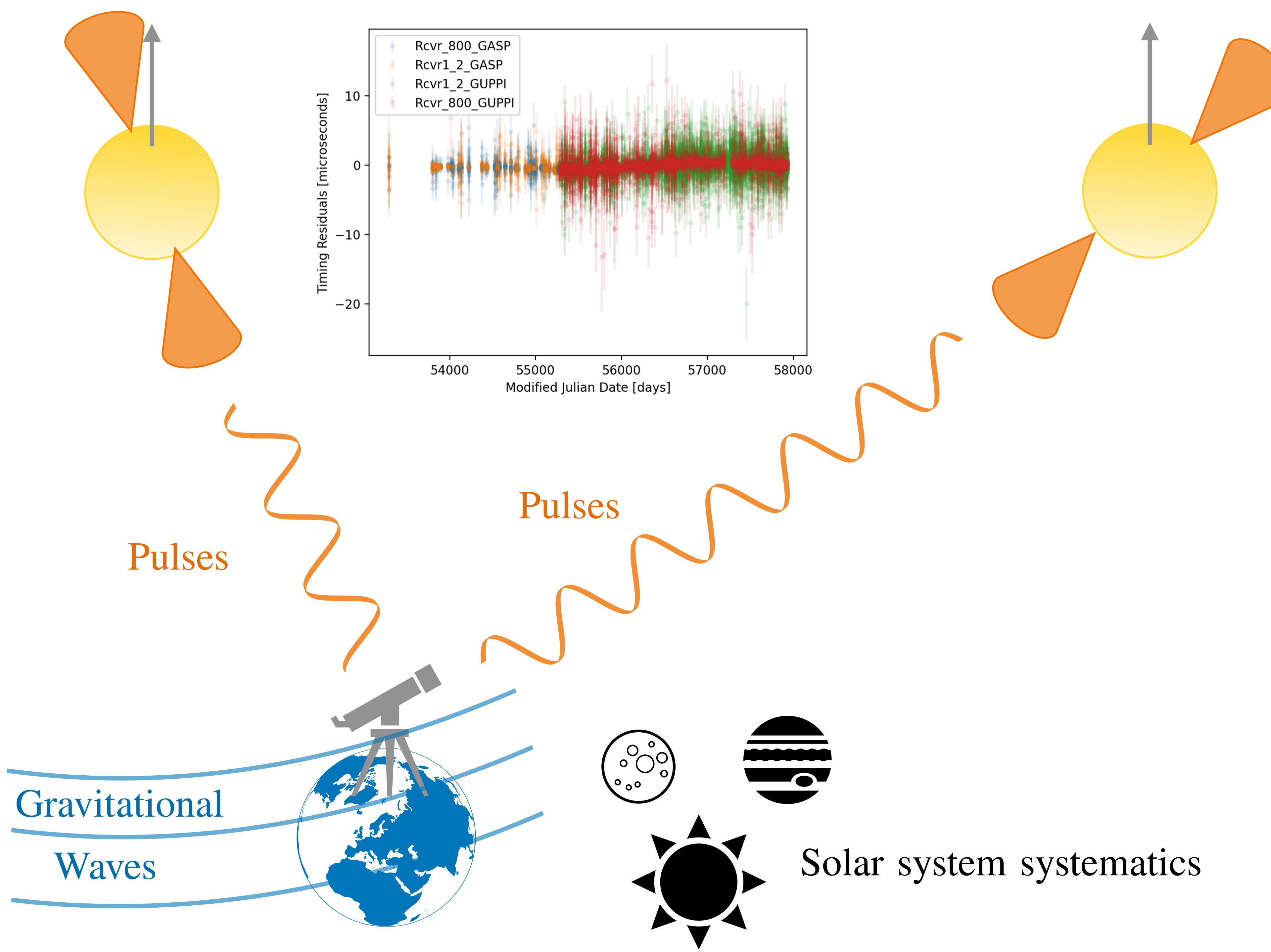


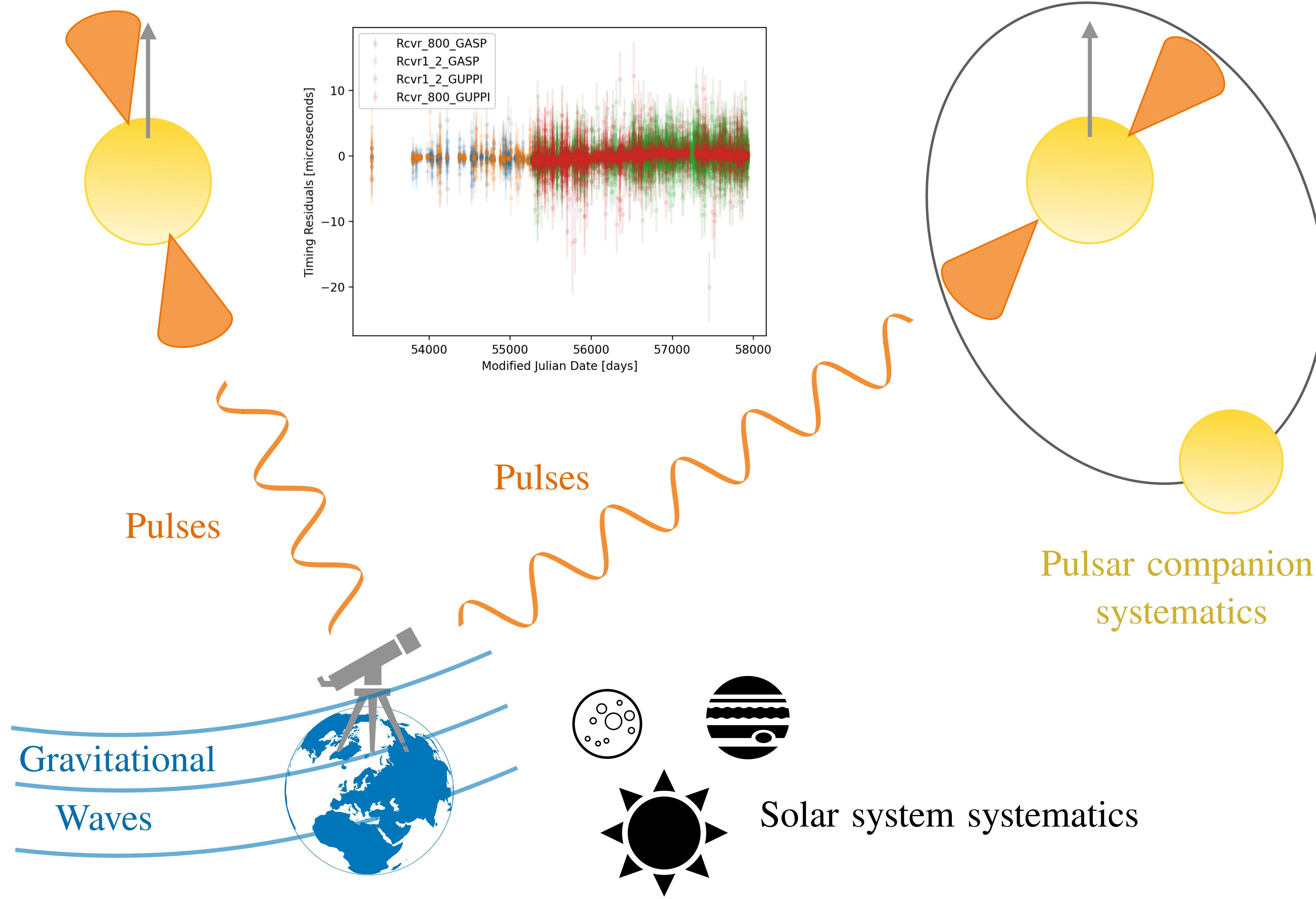


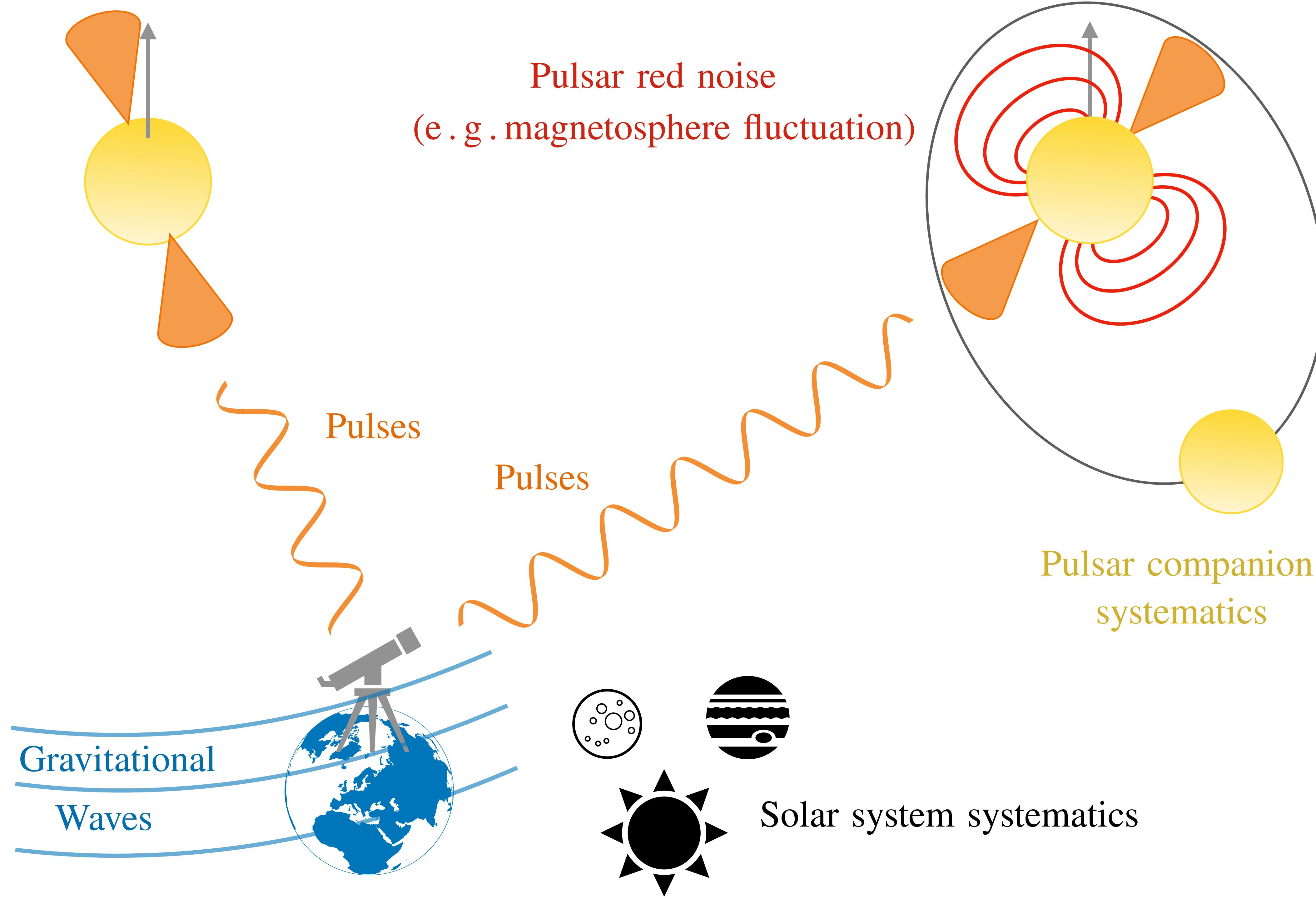


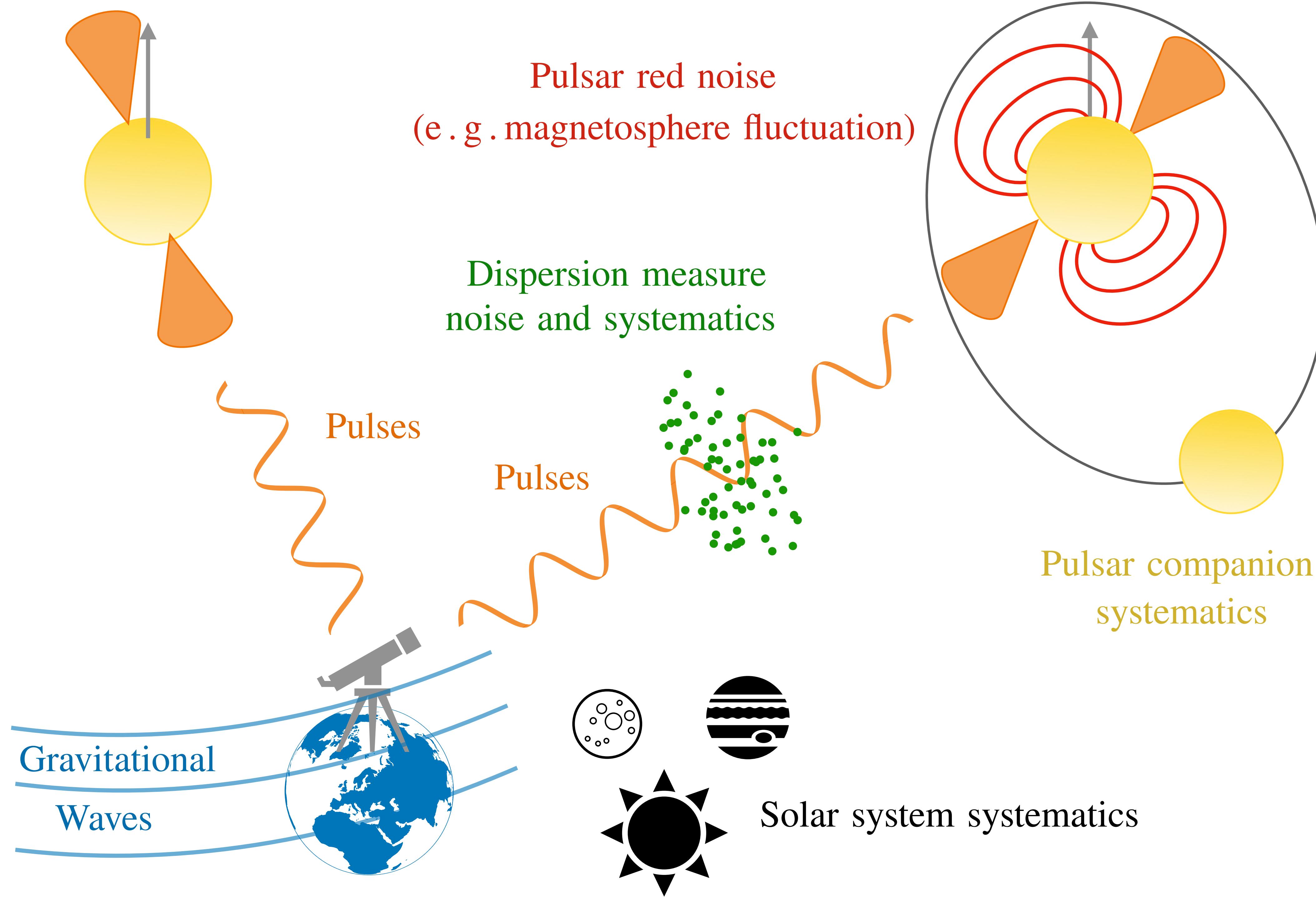


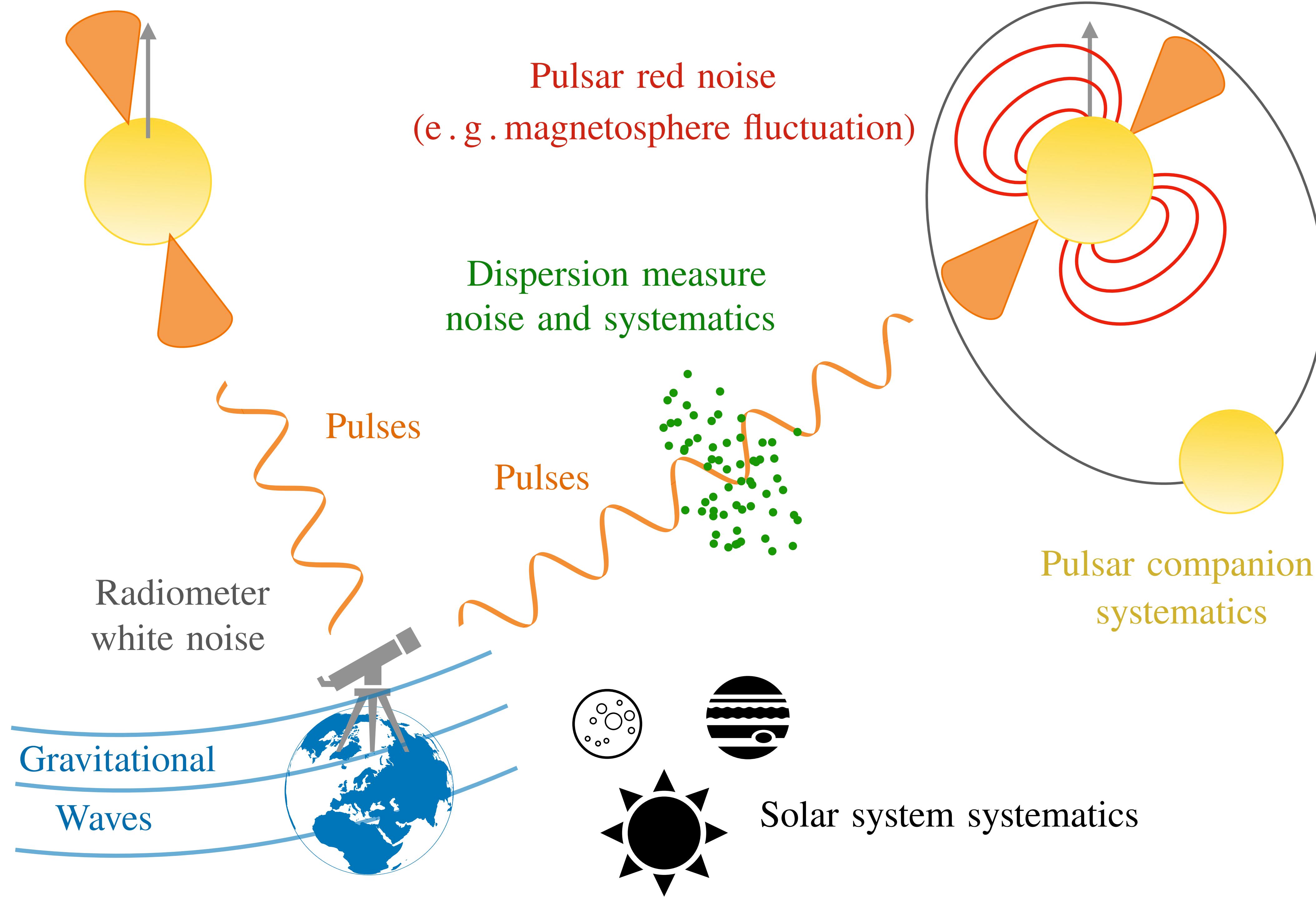


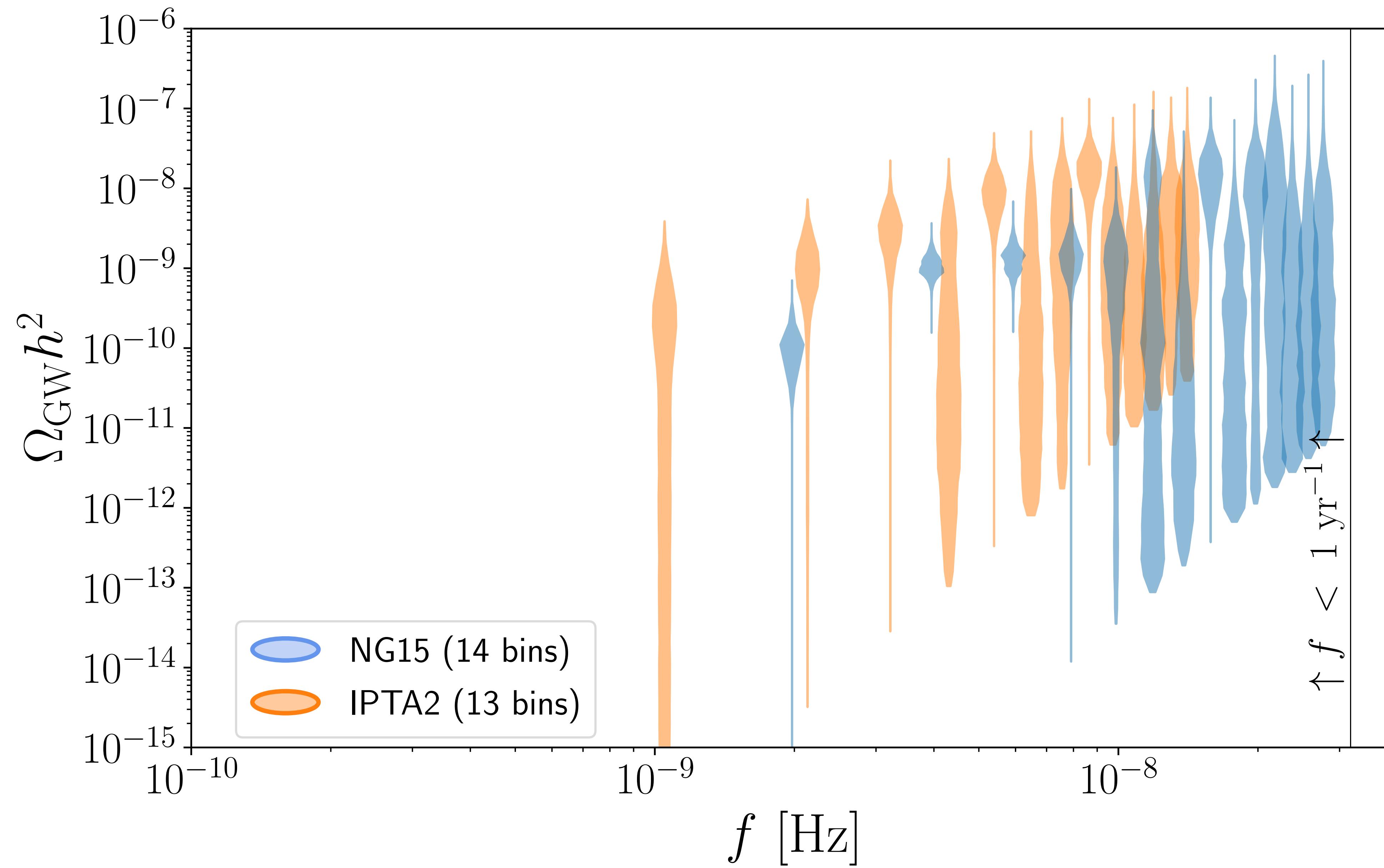




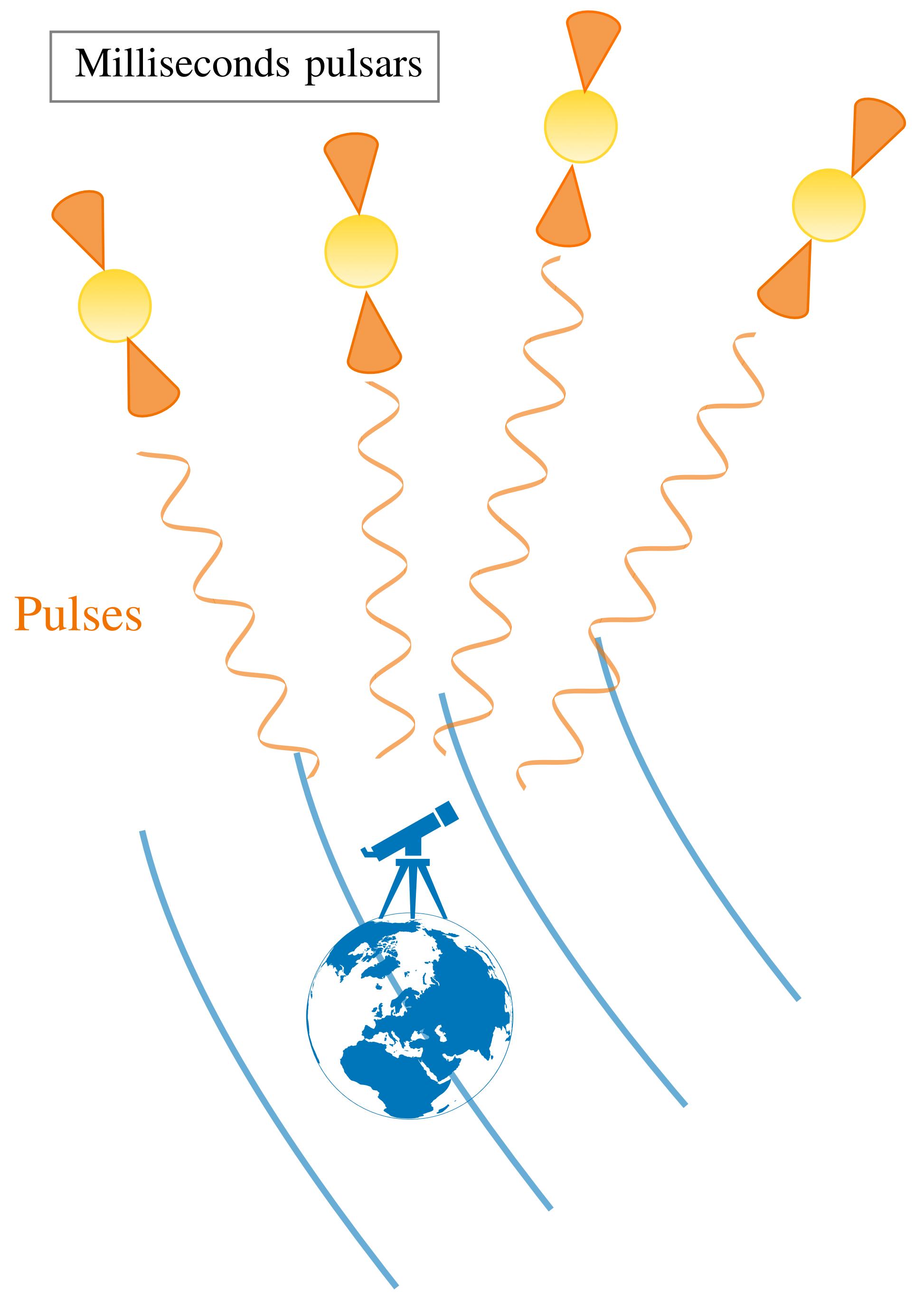




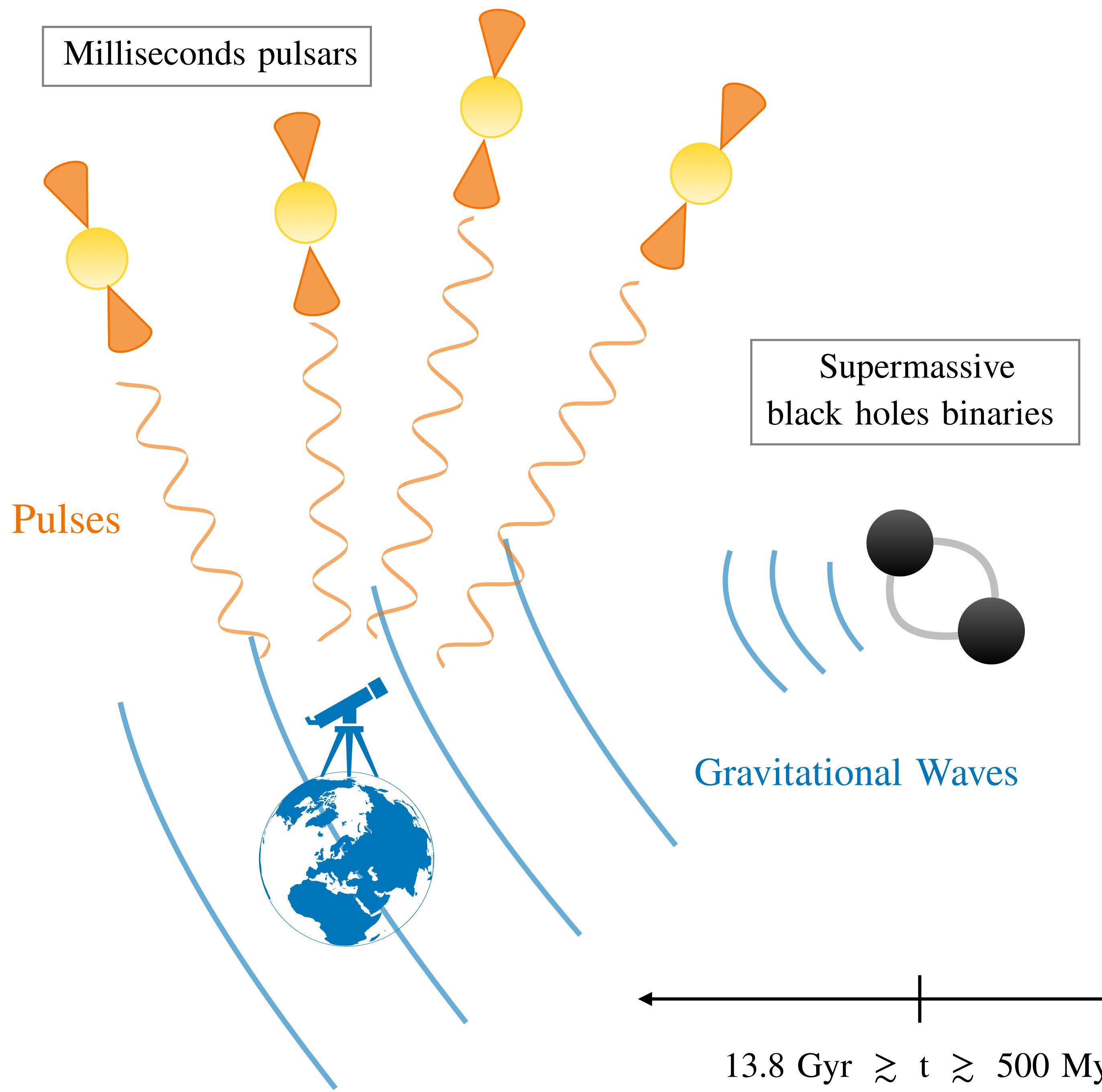


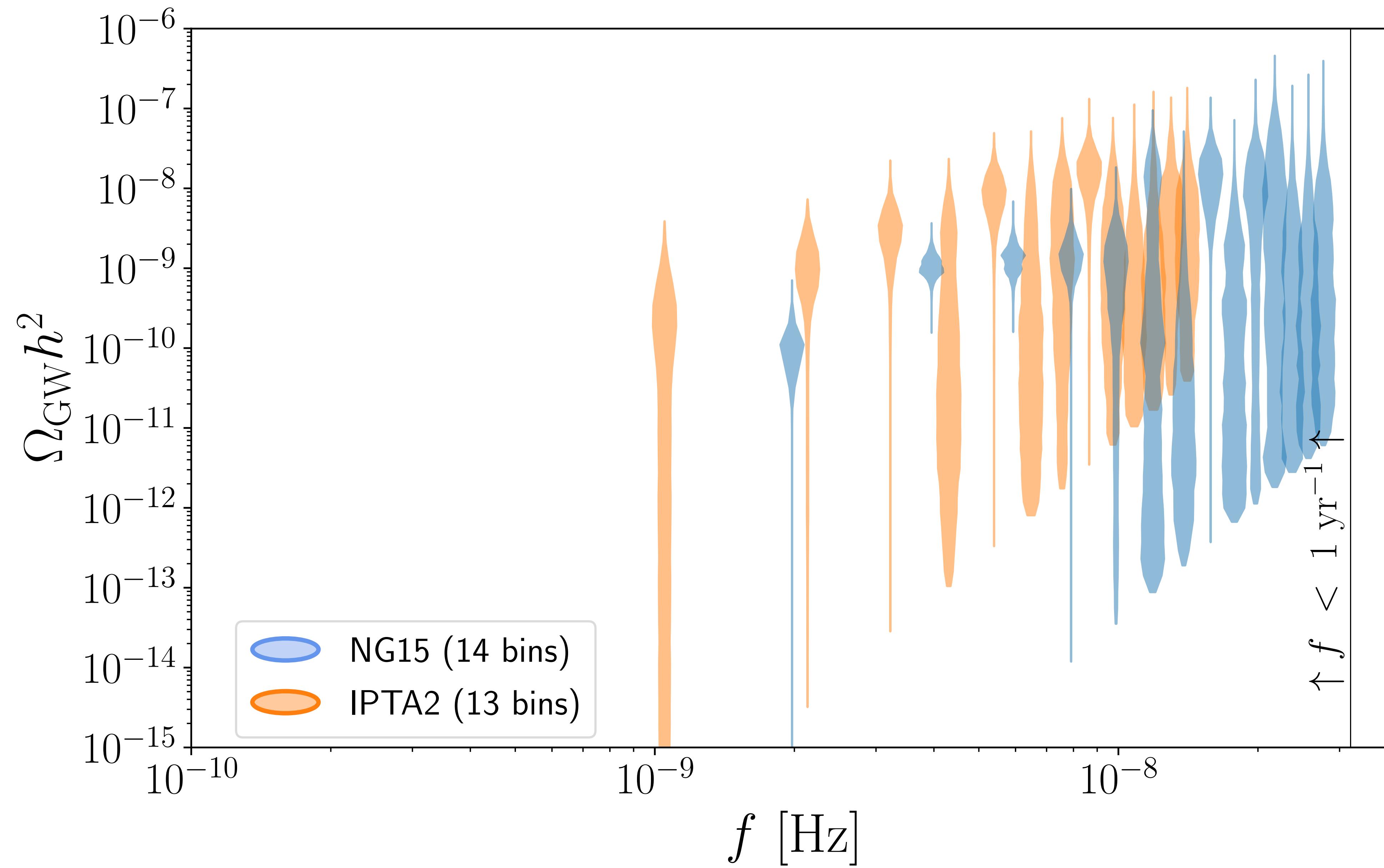


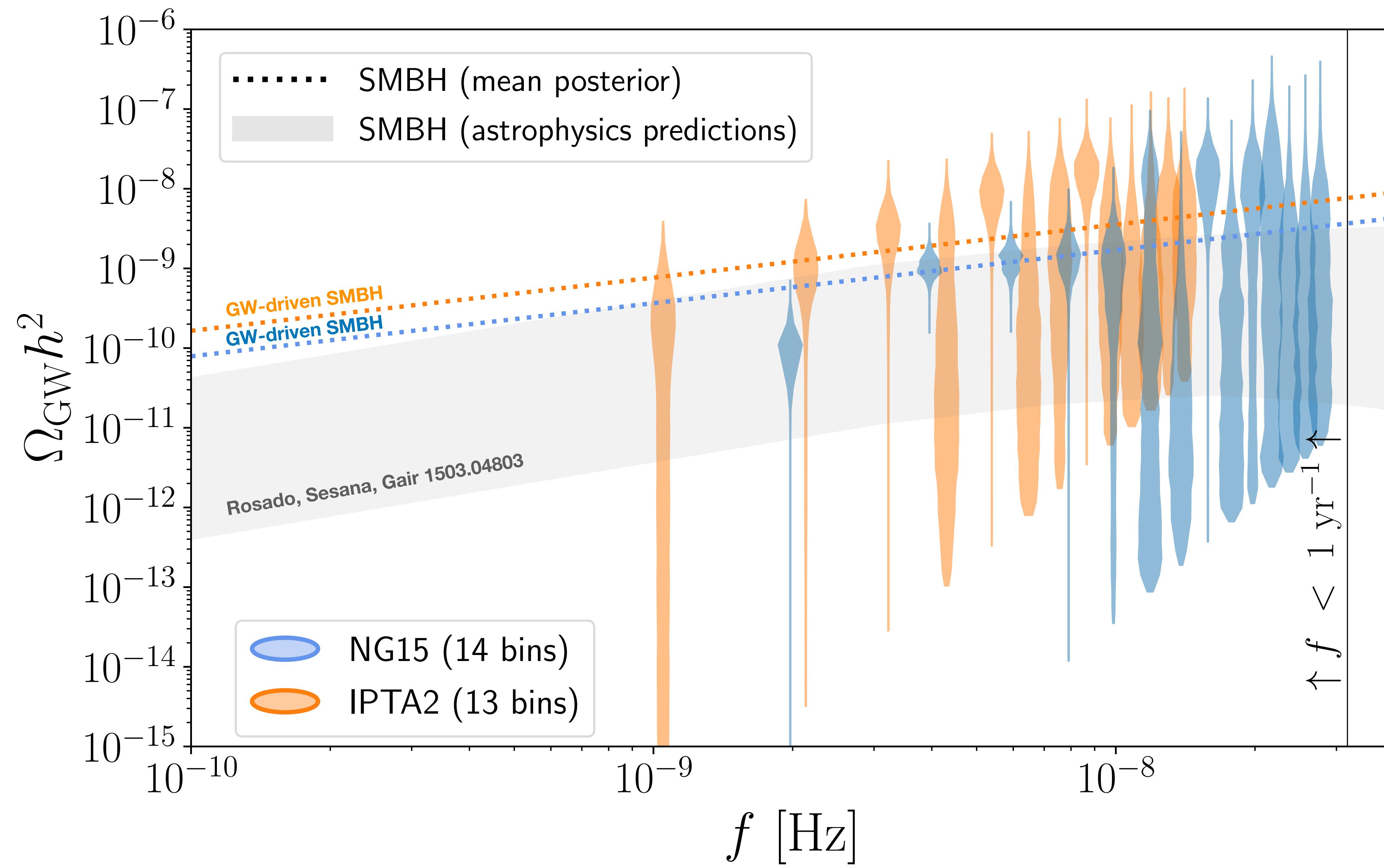
Milliseconds pulsars



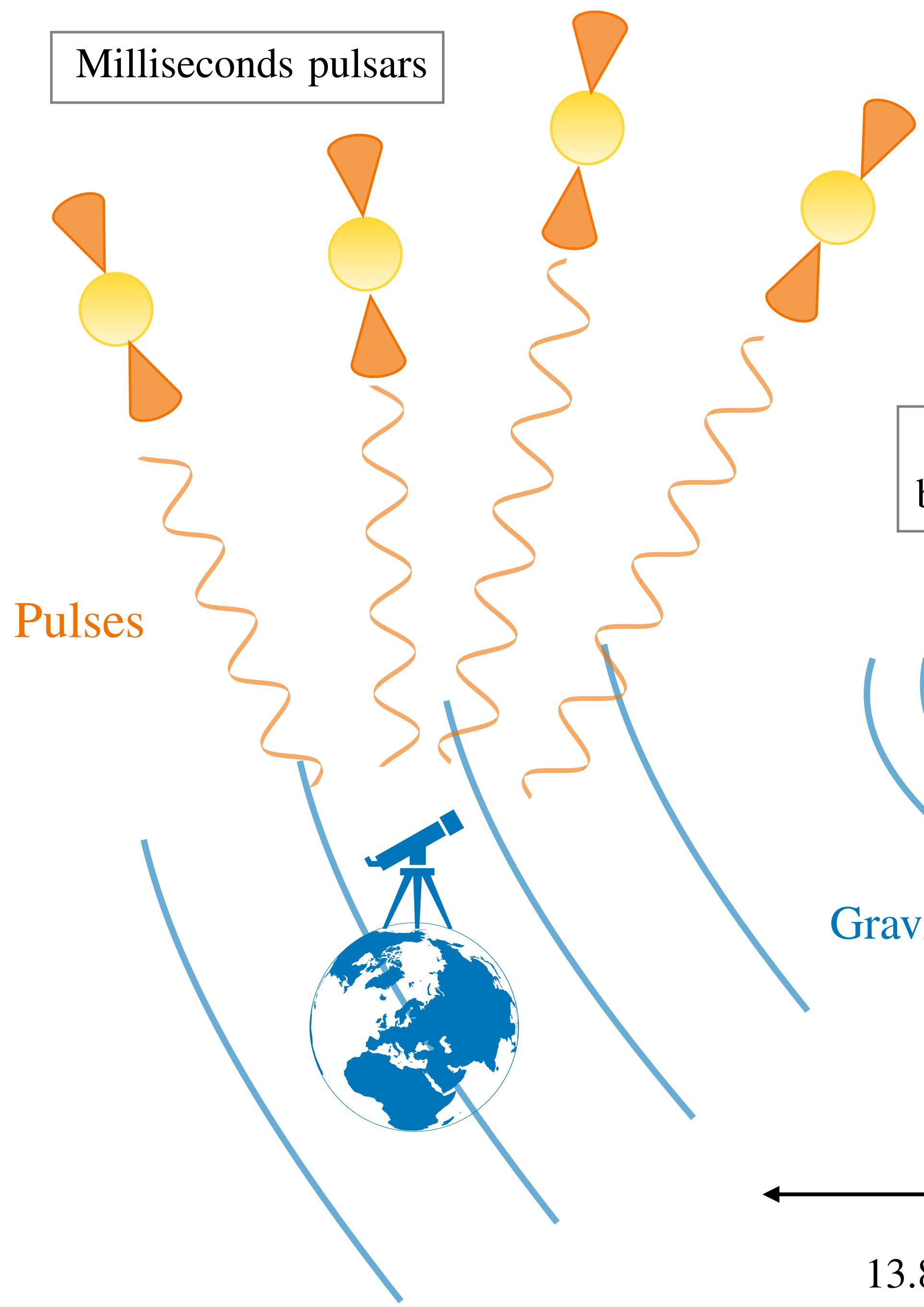
Milliseconds pulsars







Milliseconds pulsars

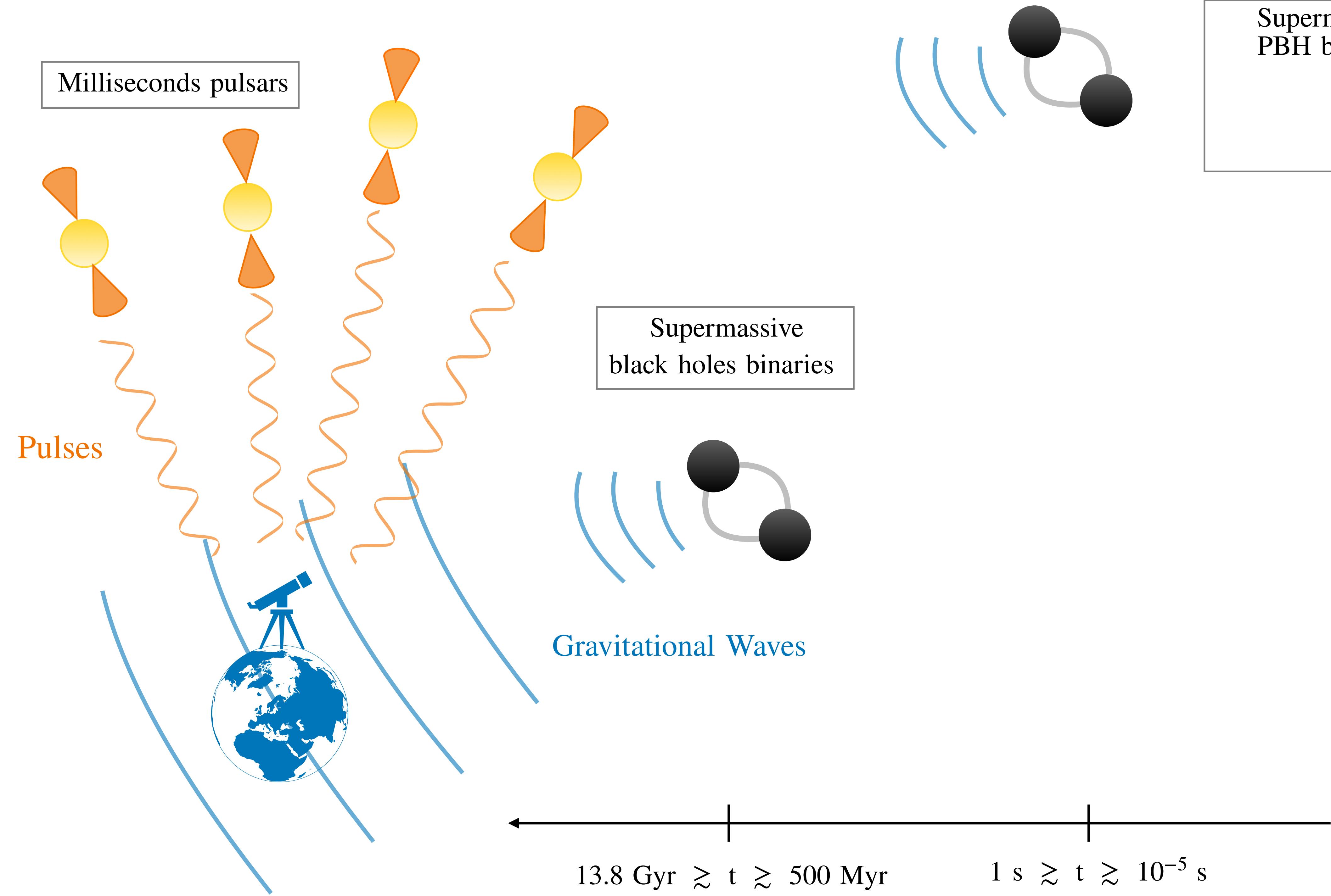


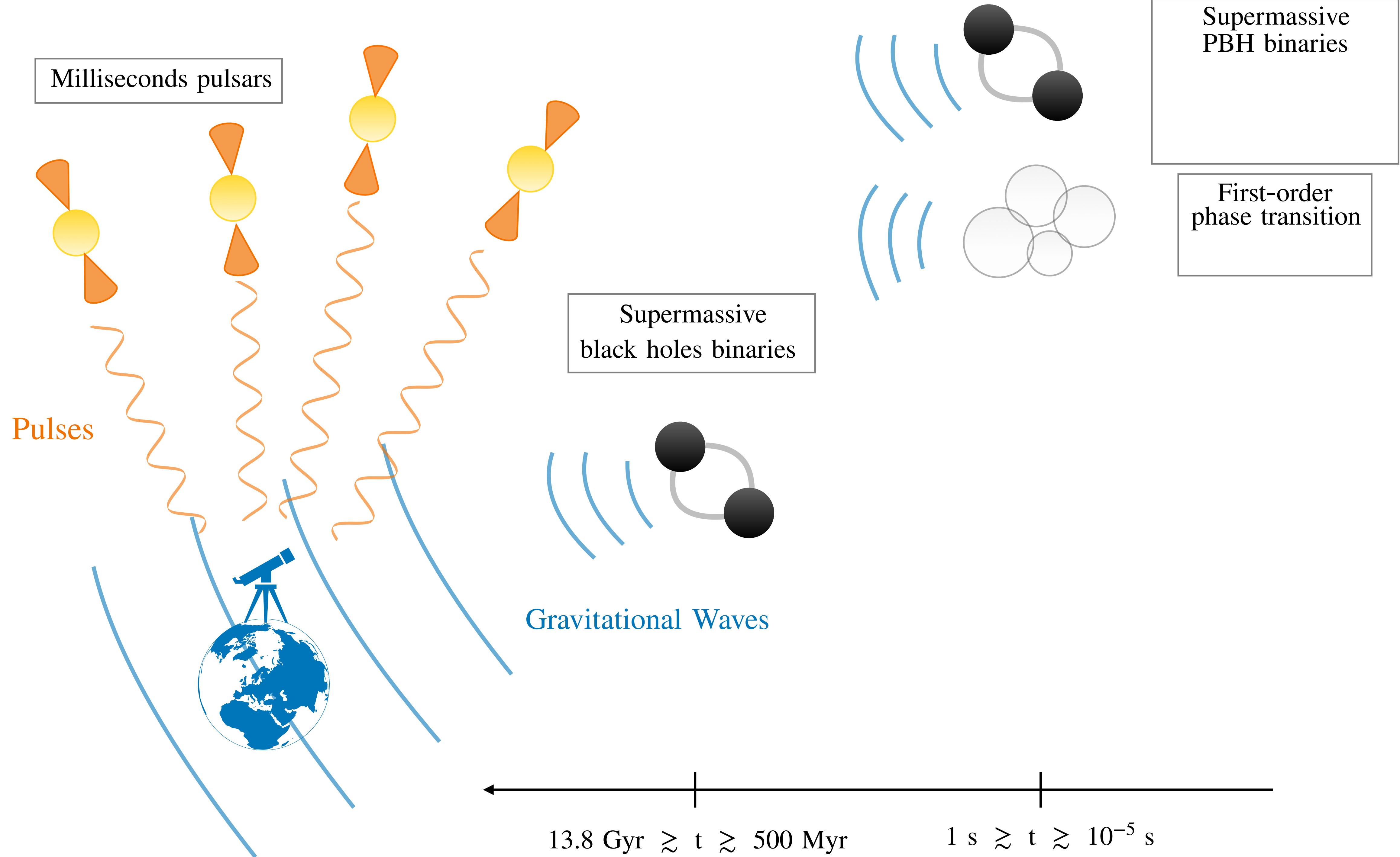
Supermassive
black holes binaries

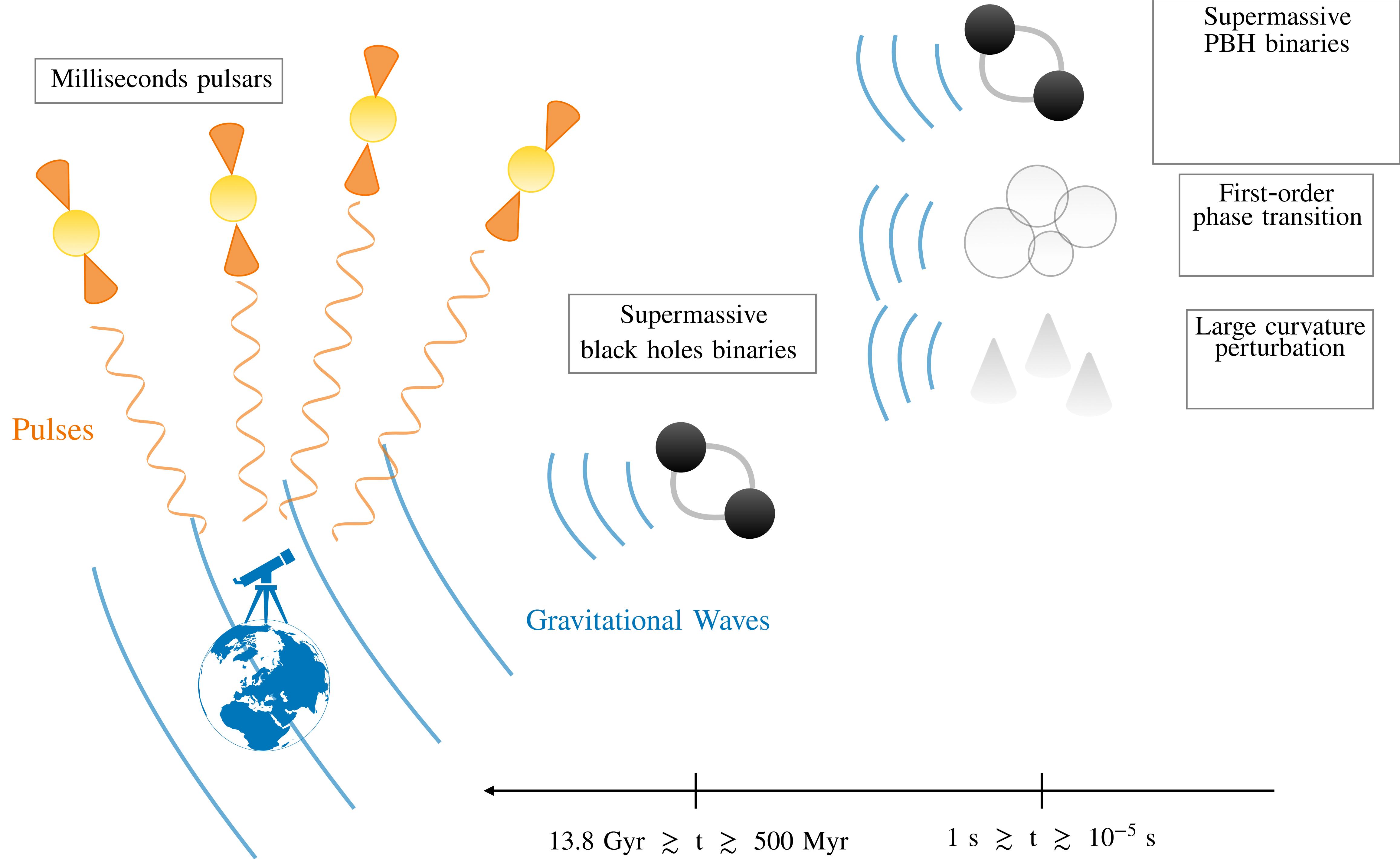
Gravitational Waves

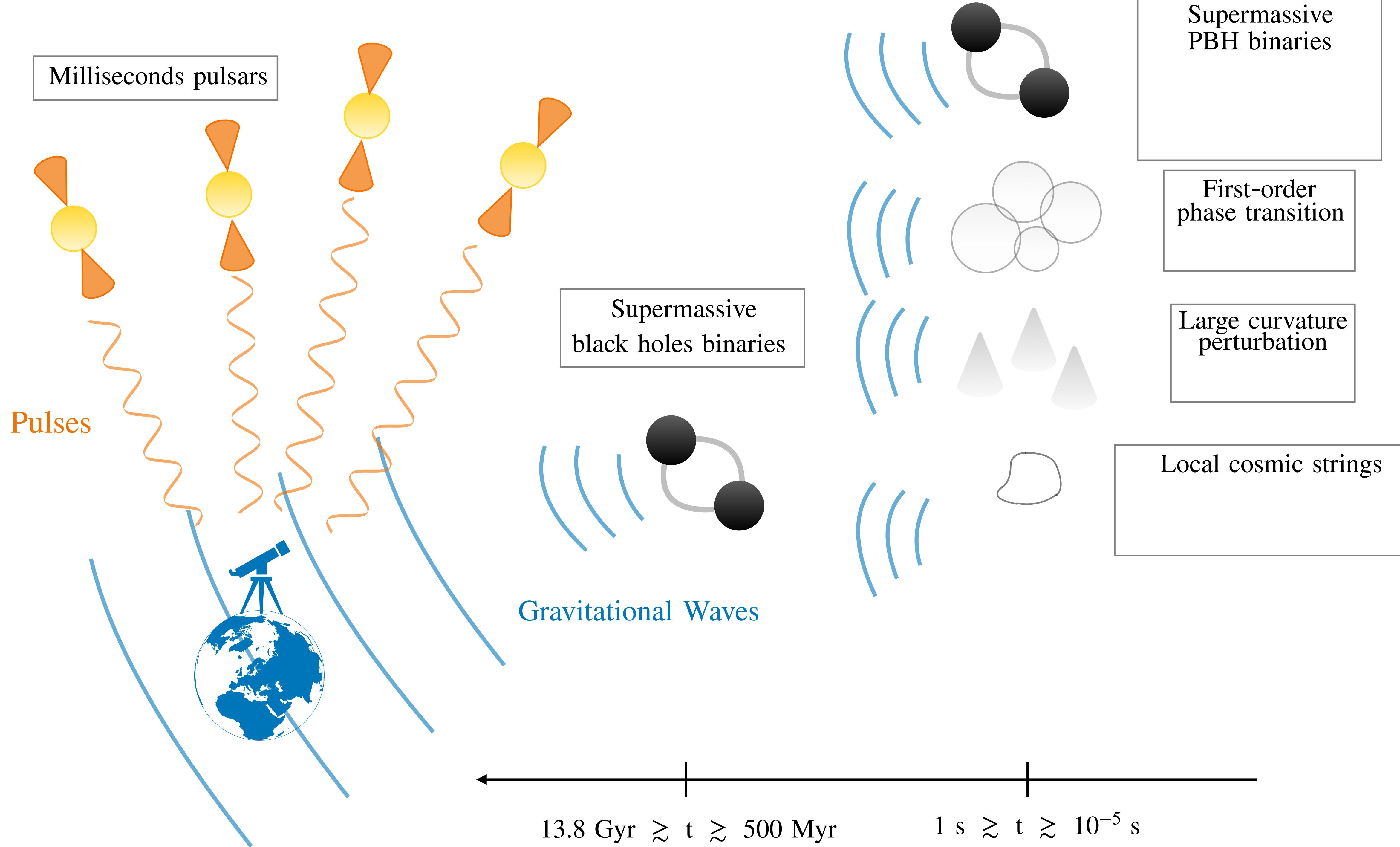
$13.8 \text{ Gyr} \gtrsim t \gtrsim 500 \text{ Myr}$

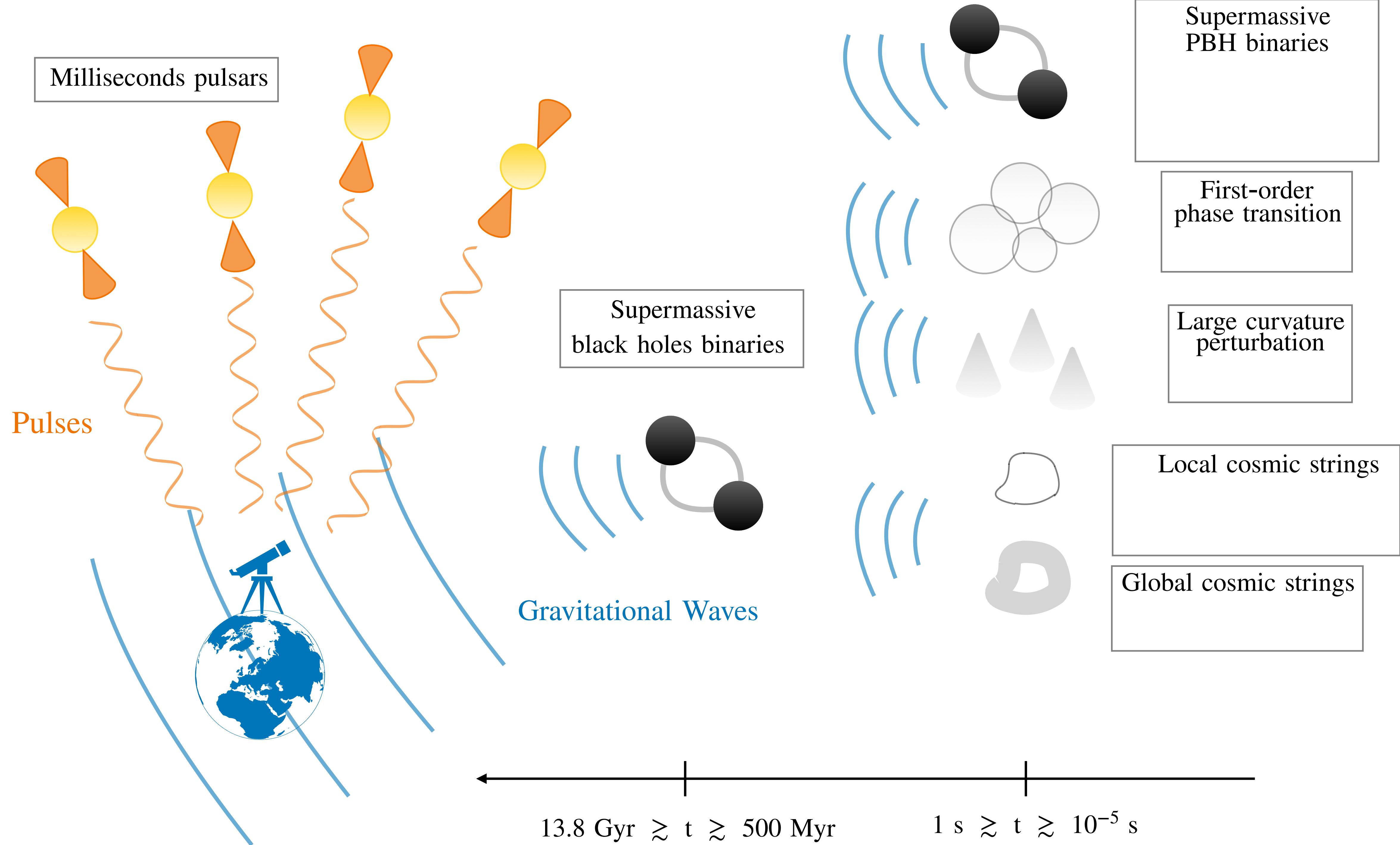
Supermassive
PBH binaries

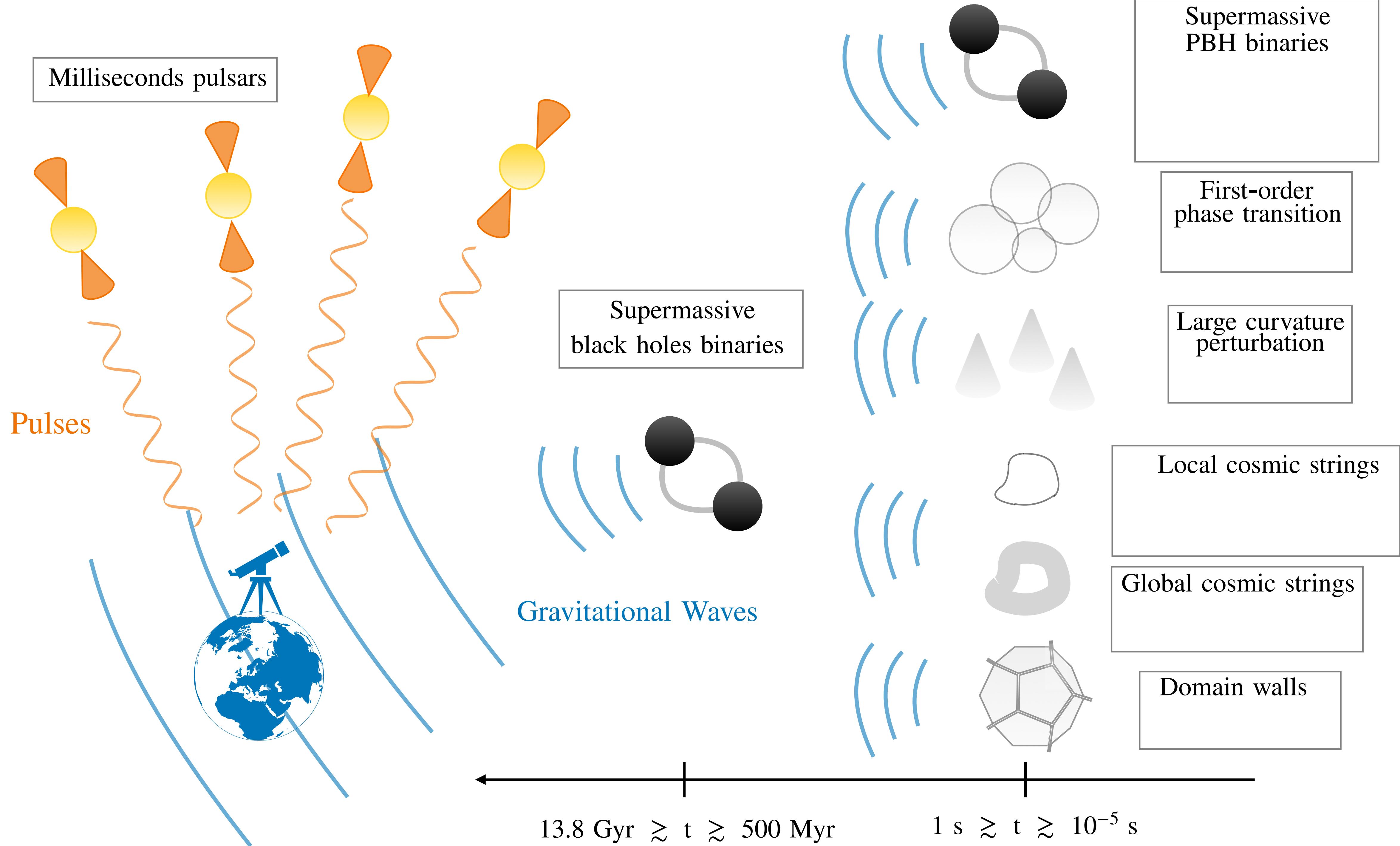


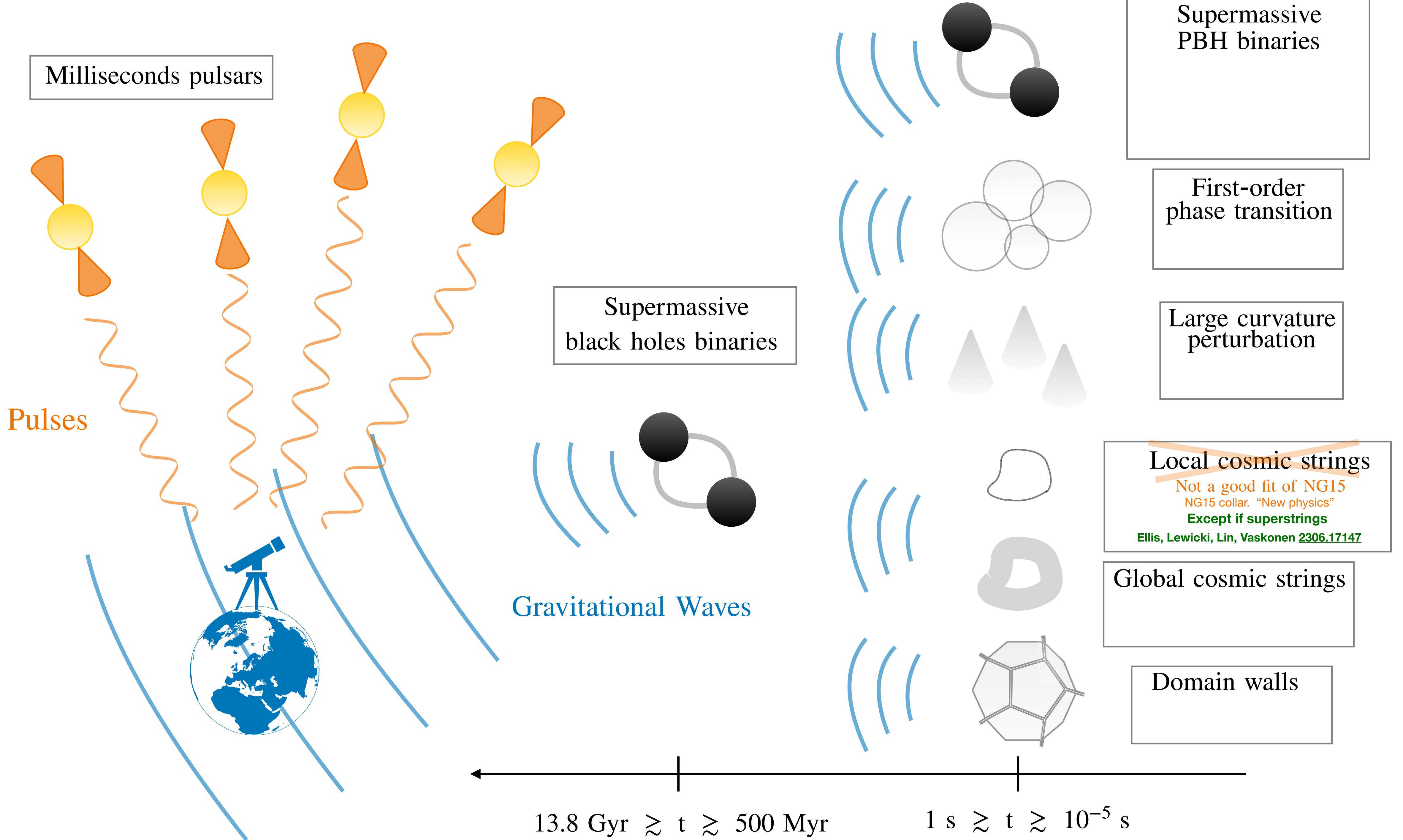


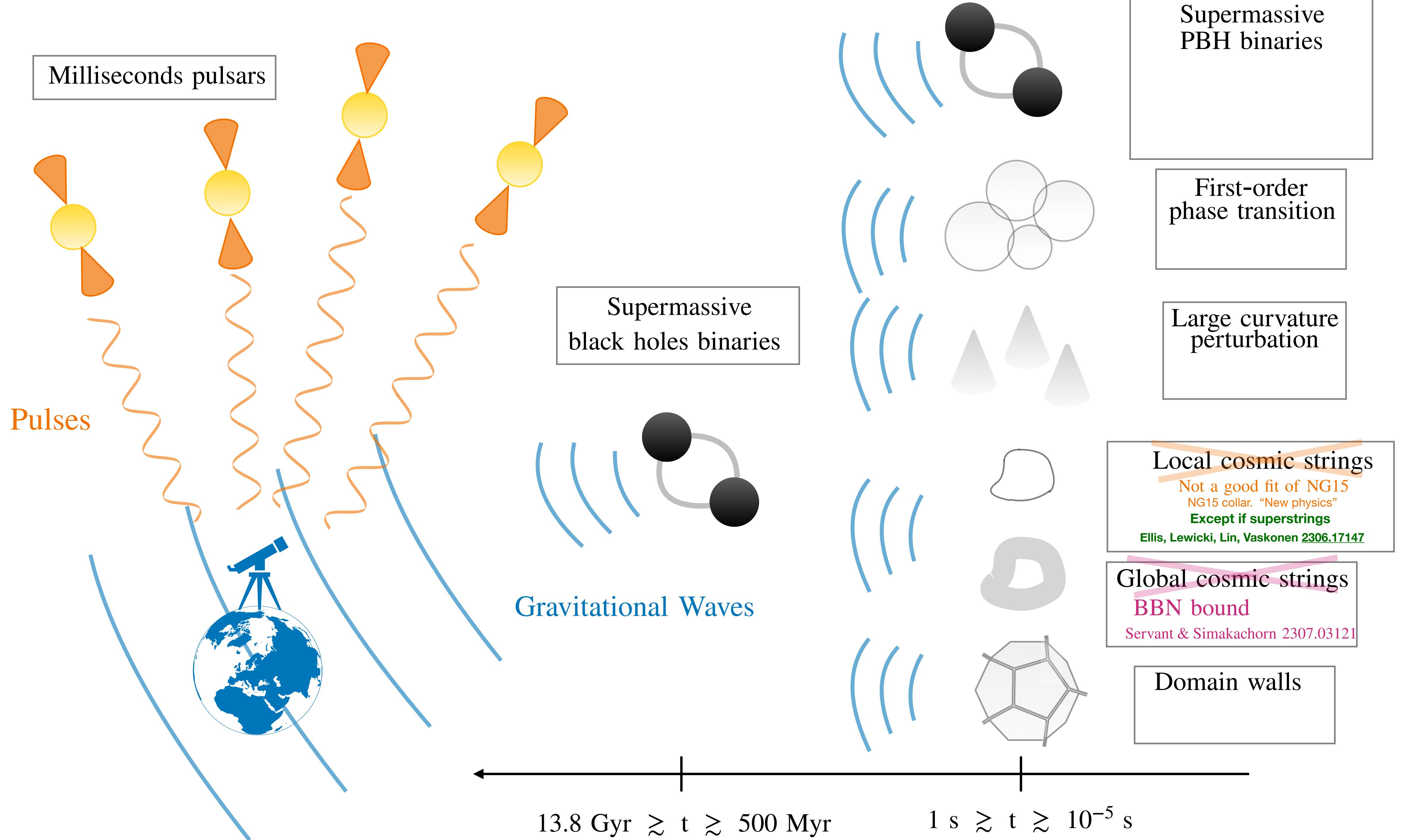


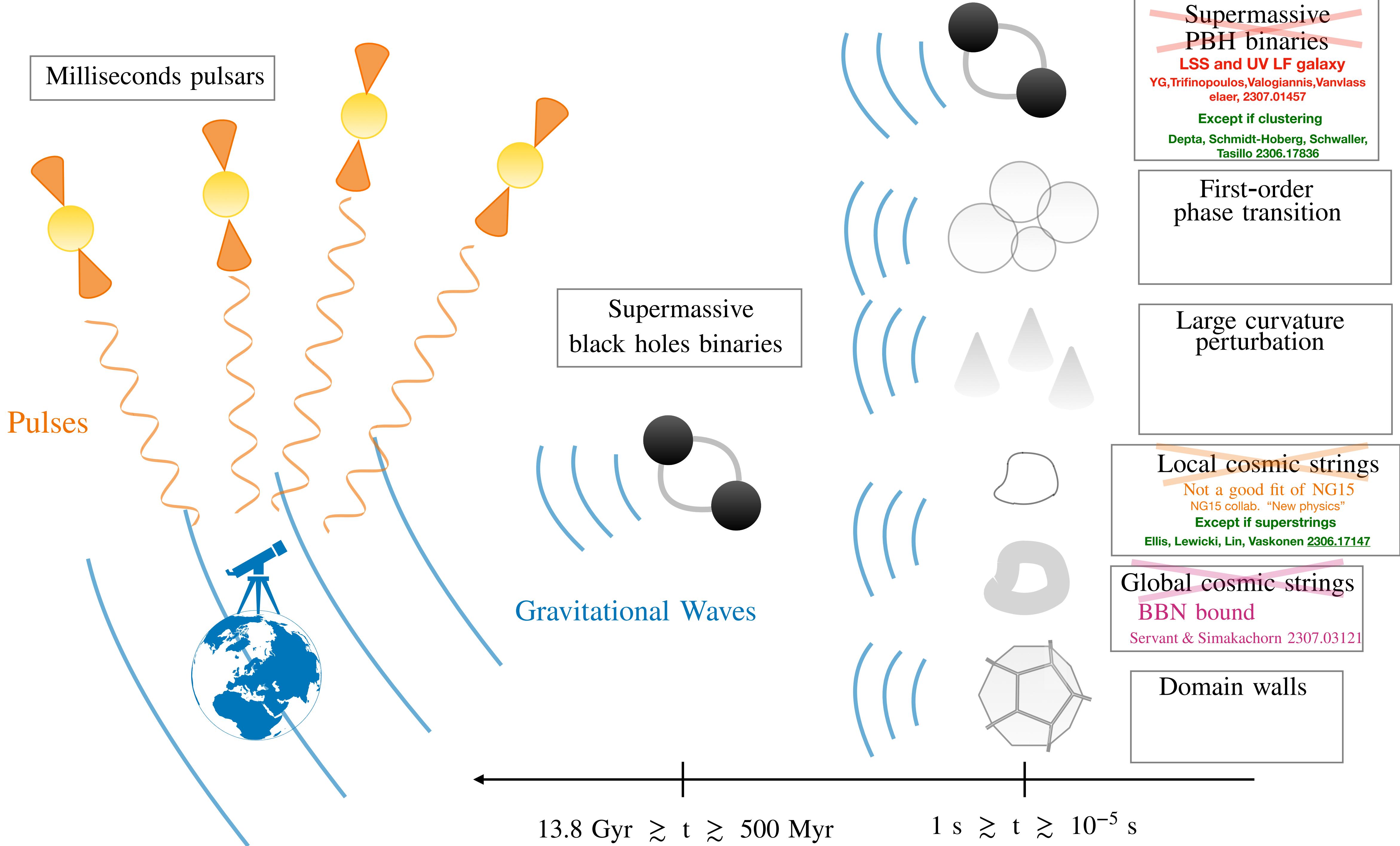


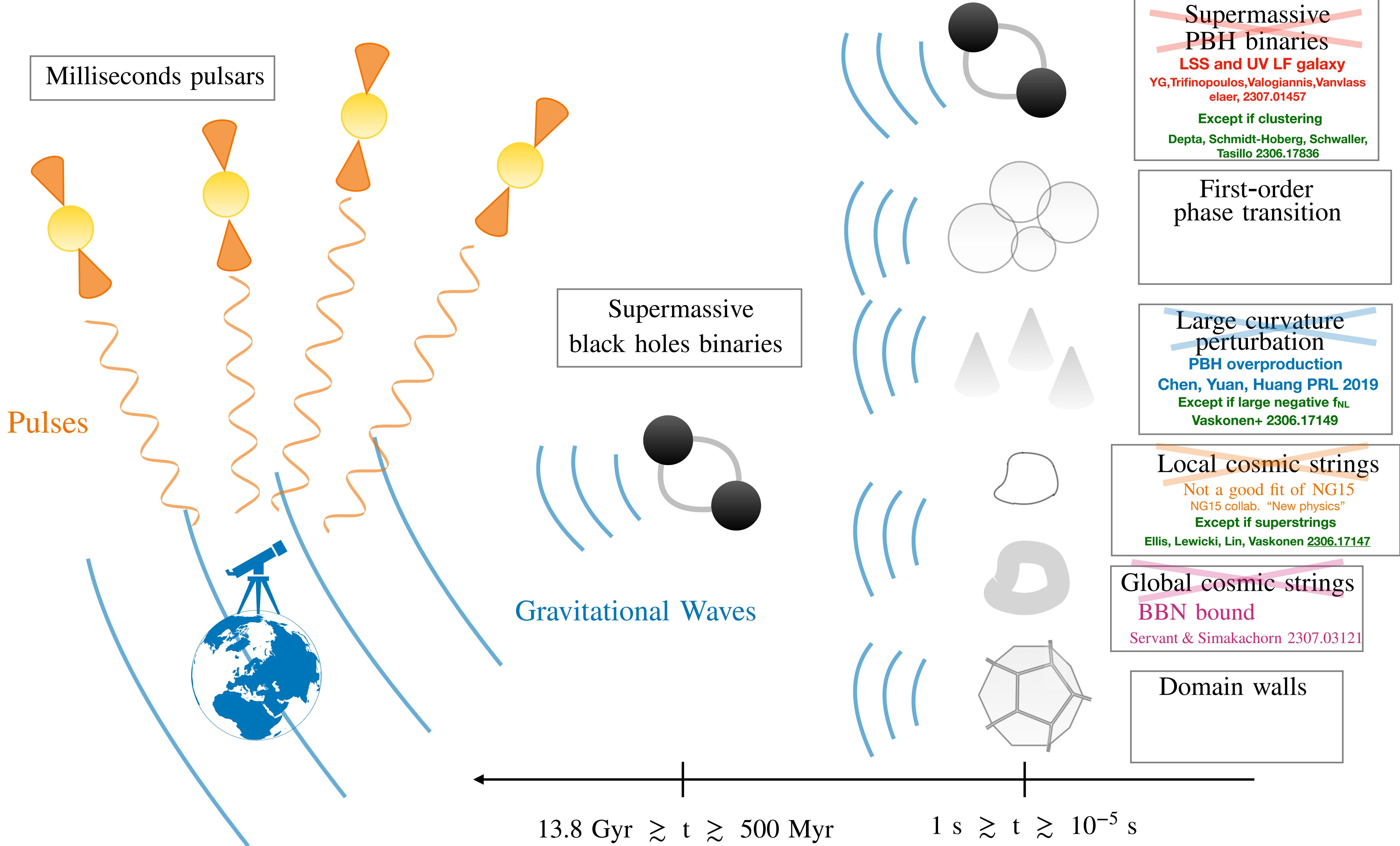


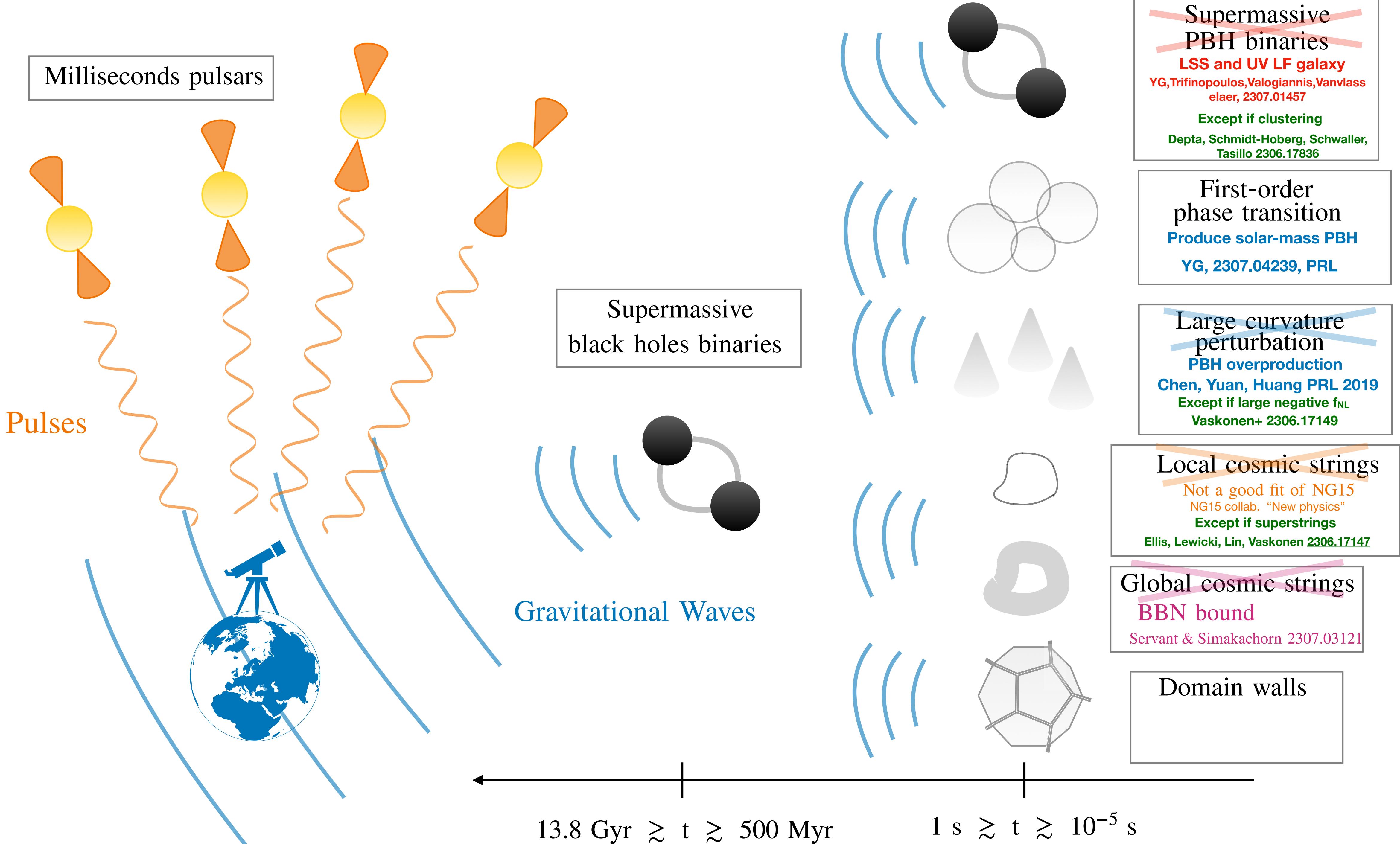


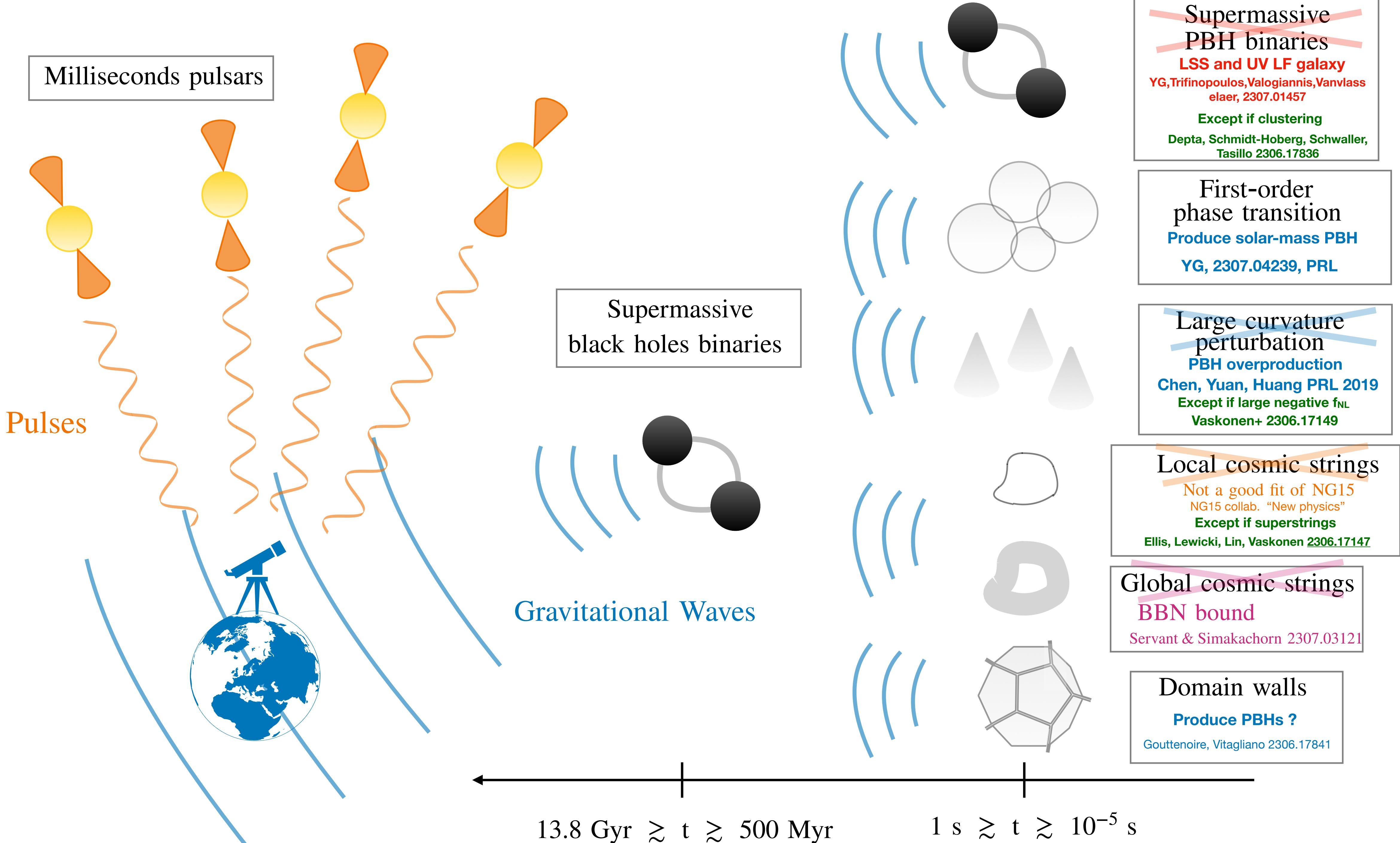








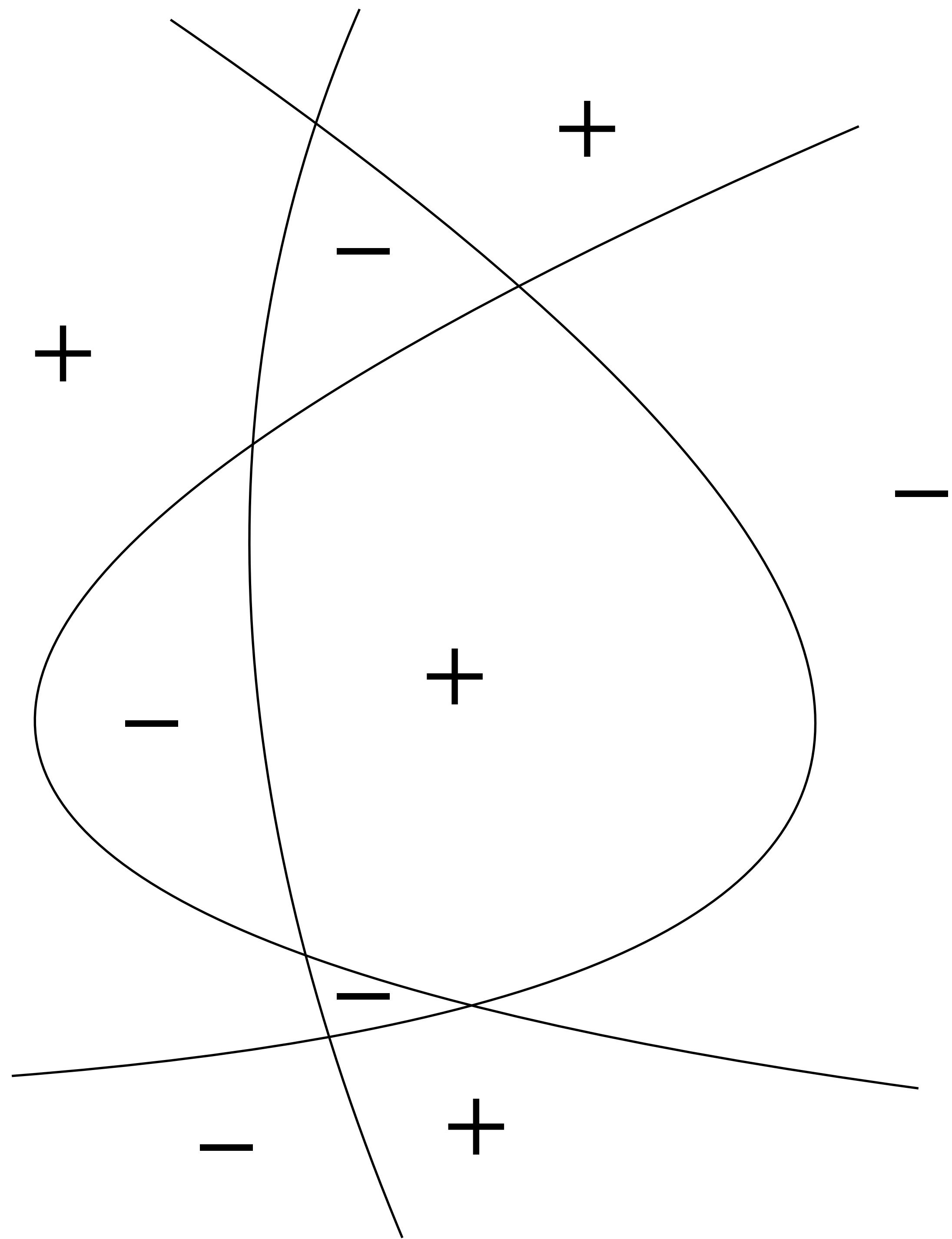
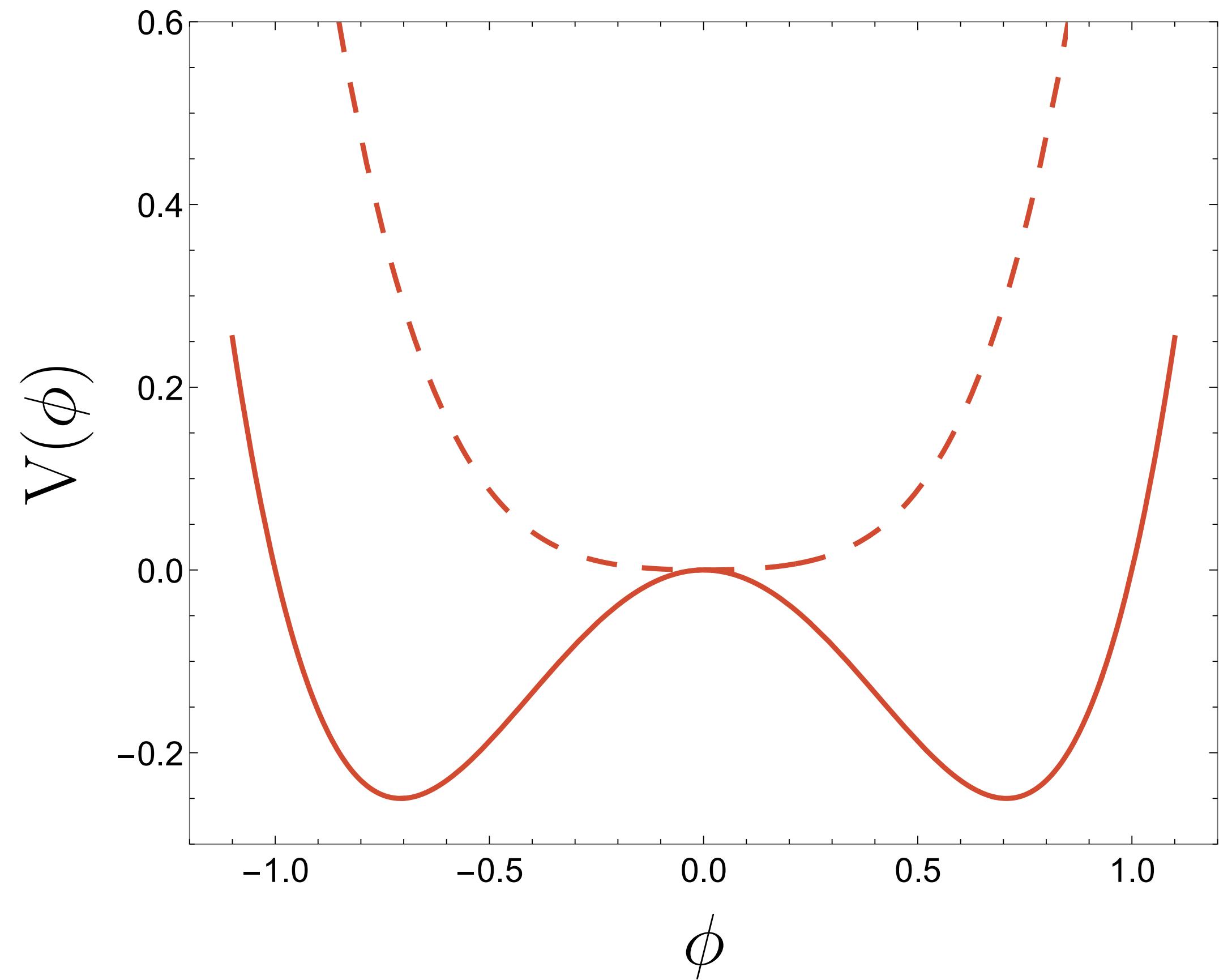




Formation of Domain Wall

$$V(\phi) = \lambda(\phi^2 - v_\phi^2)^2$$

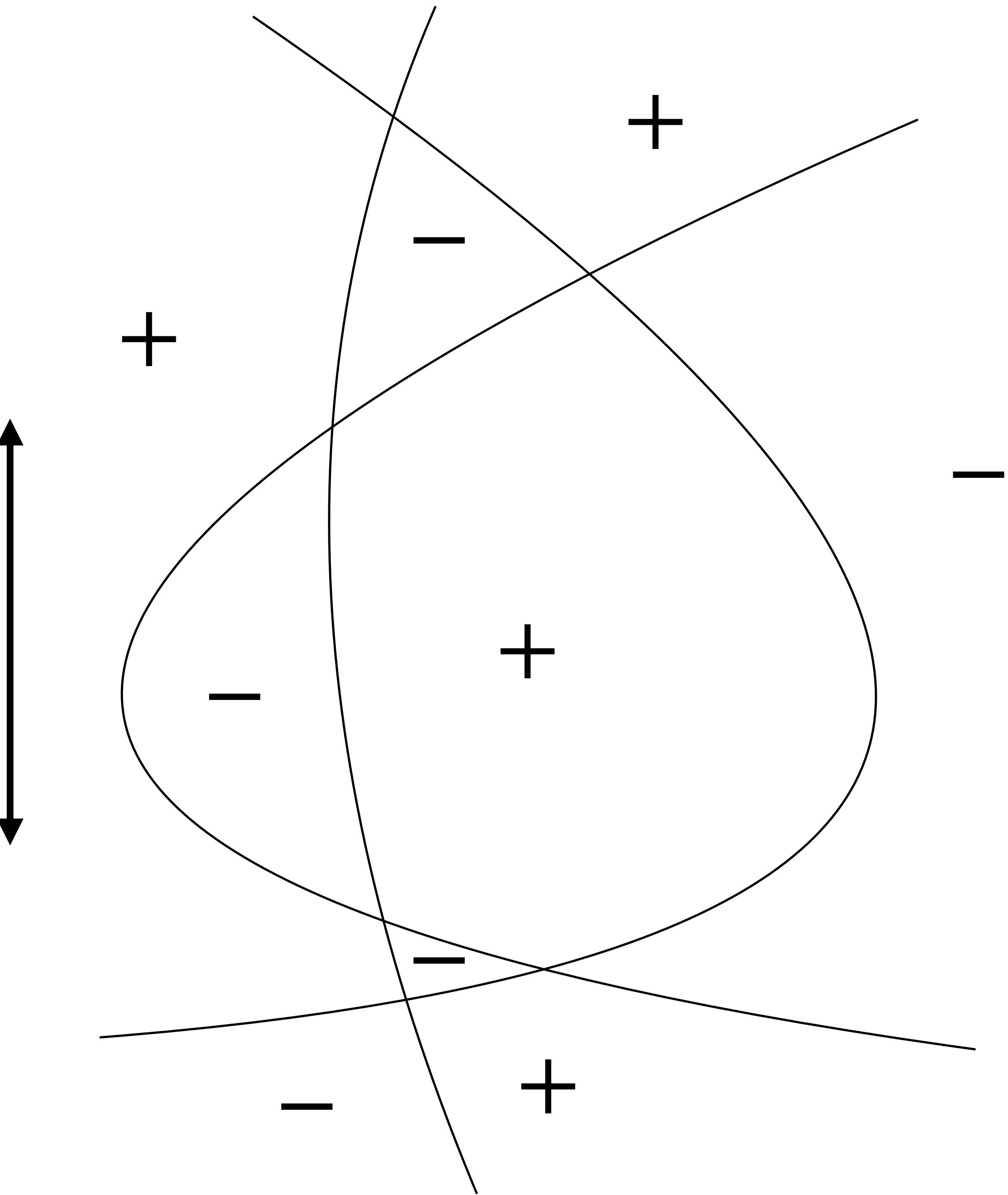
Break \mathbb{Z}_2



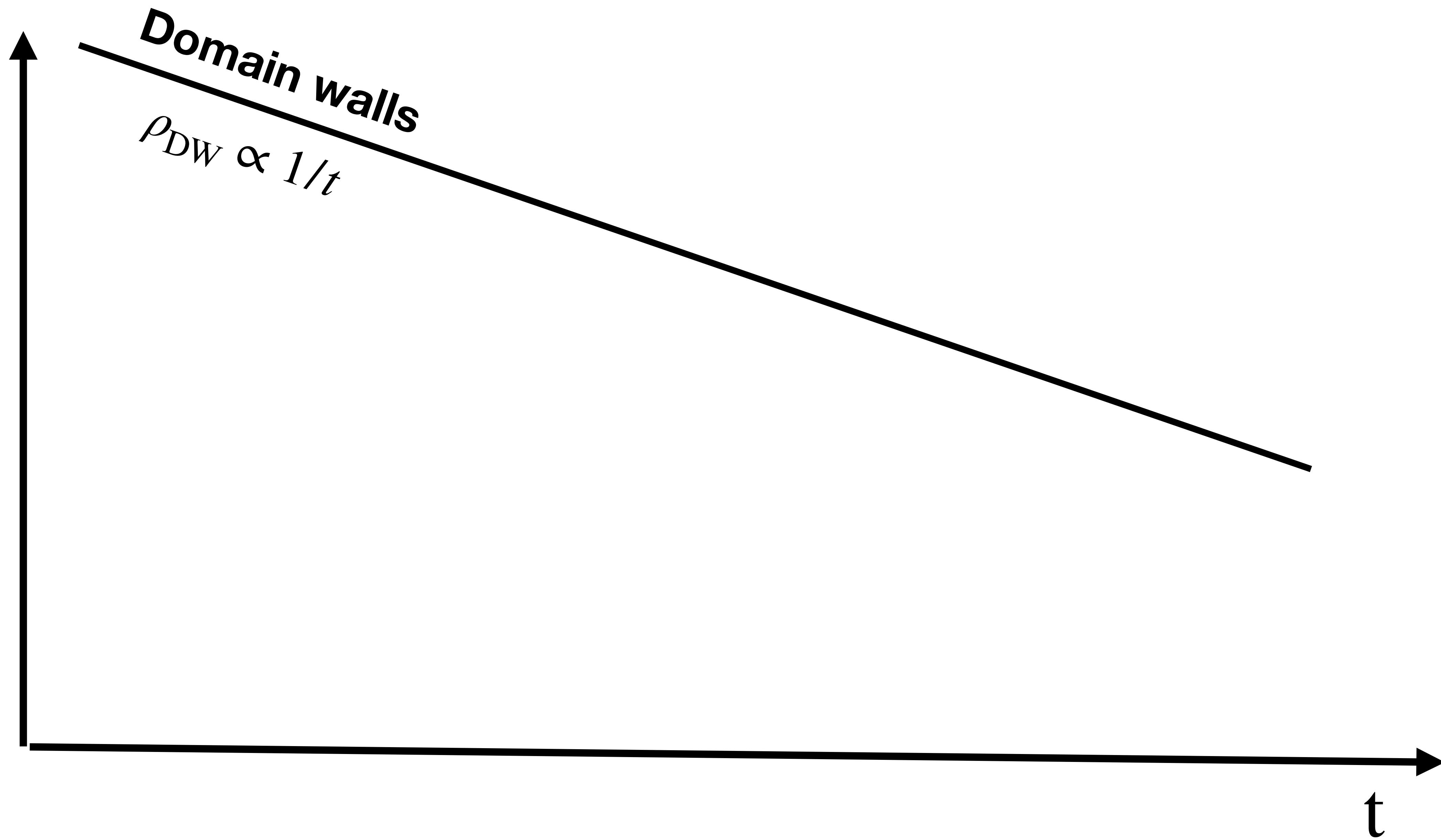
Formation of Domain Wall

Scaling regime : $R \simeq t$

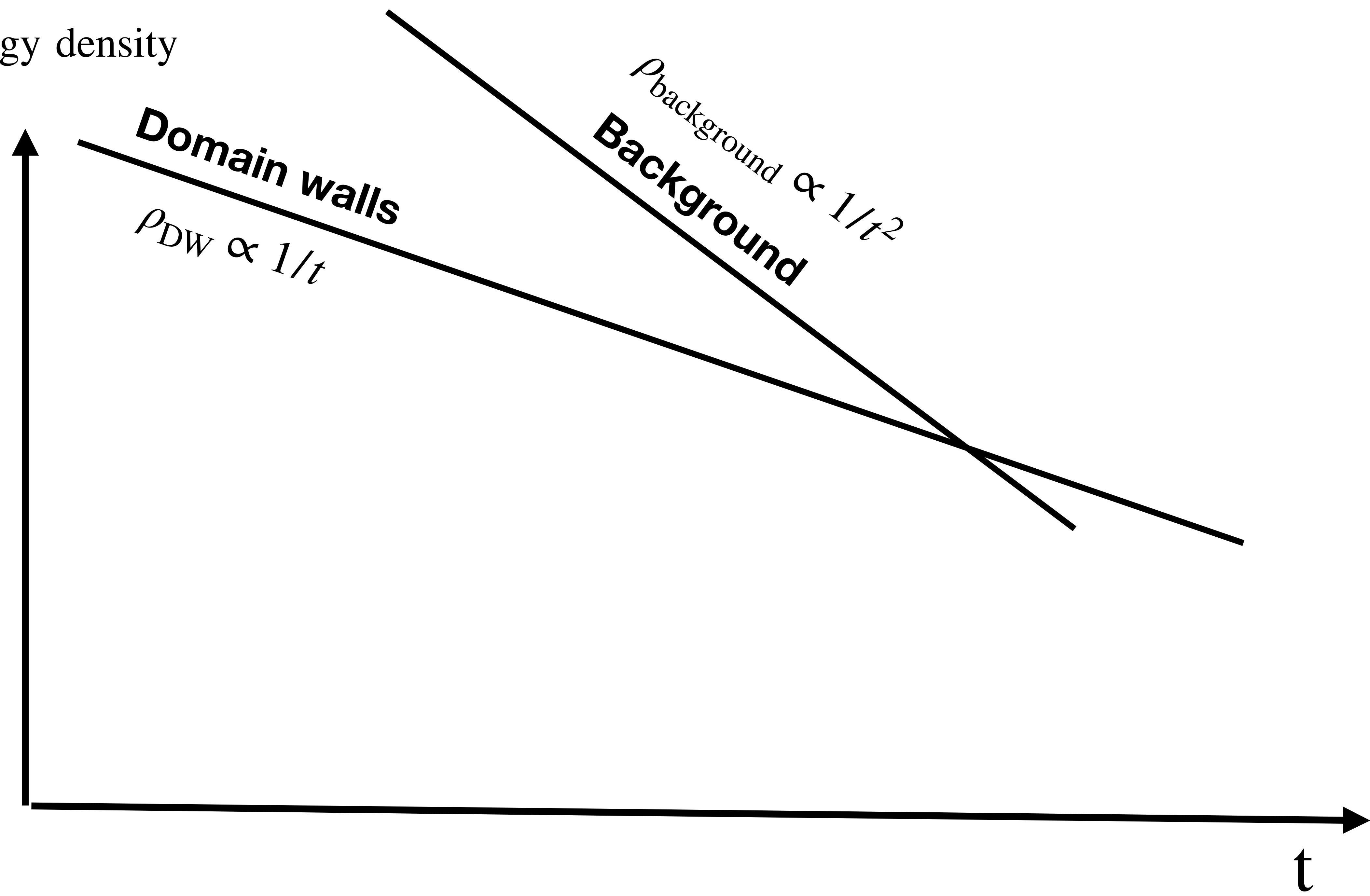
$$\rho_{\text{DW}} \simeq \frac{\sigma}{R} \simeq \frac{\sigma}{t}$$



Energy density

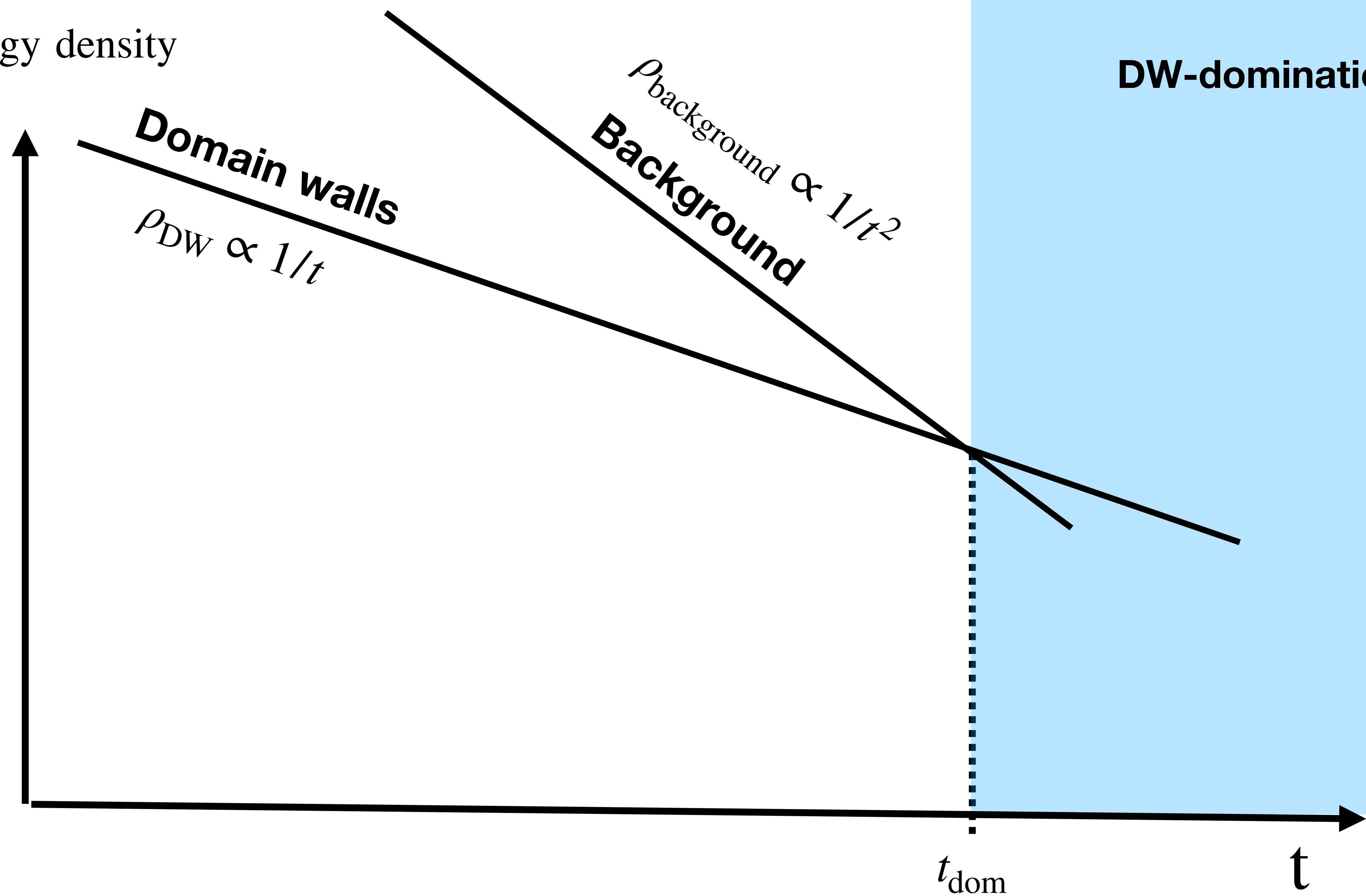


Energy density

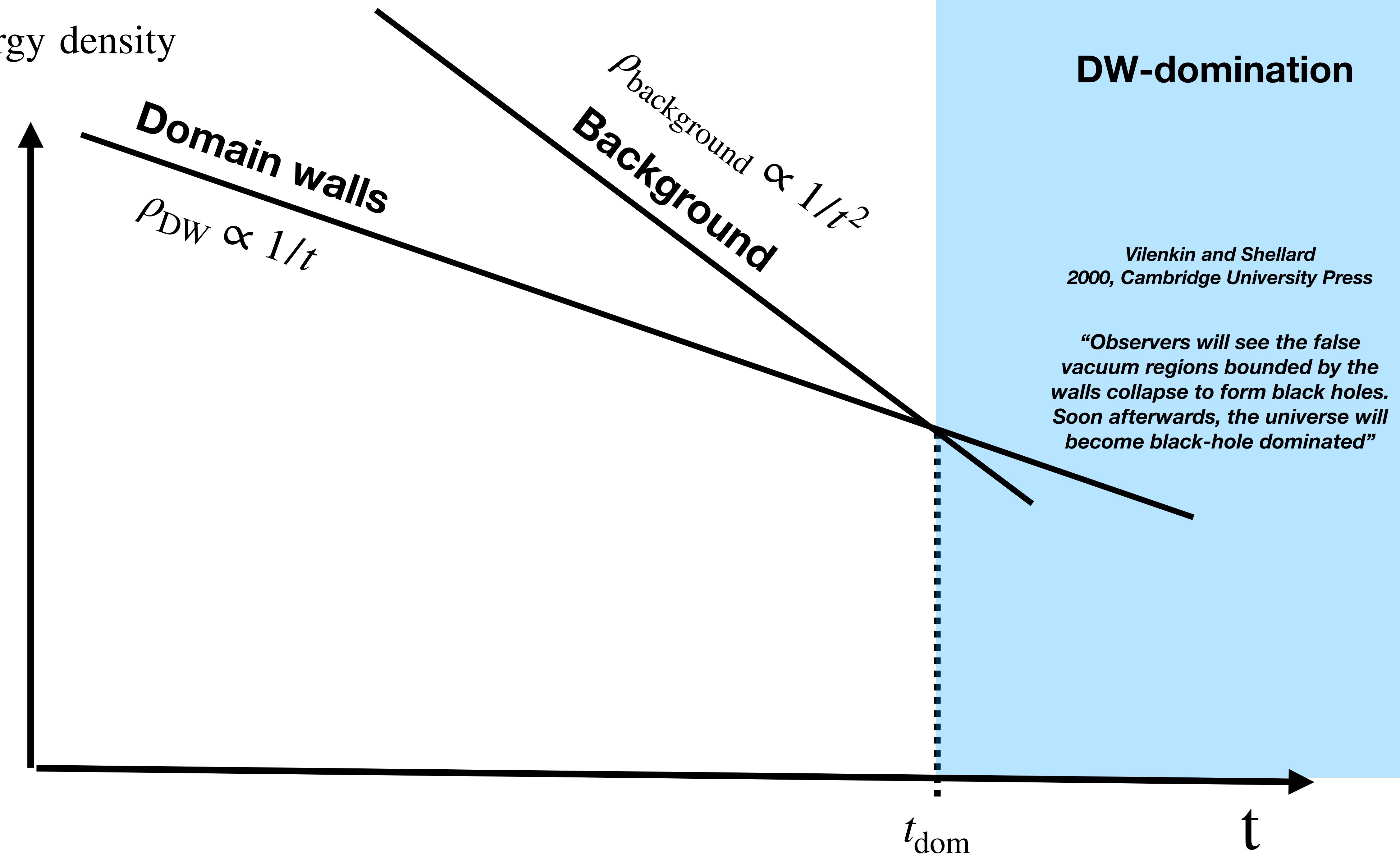


Energy density

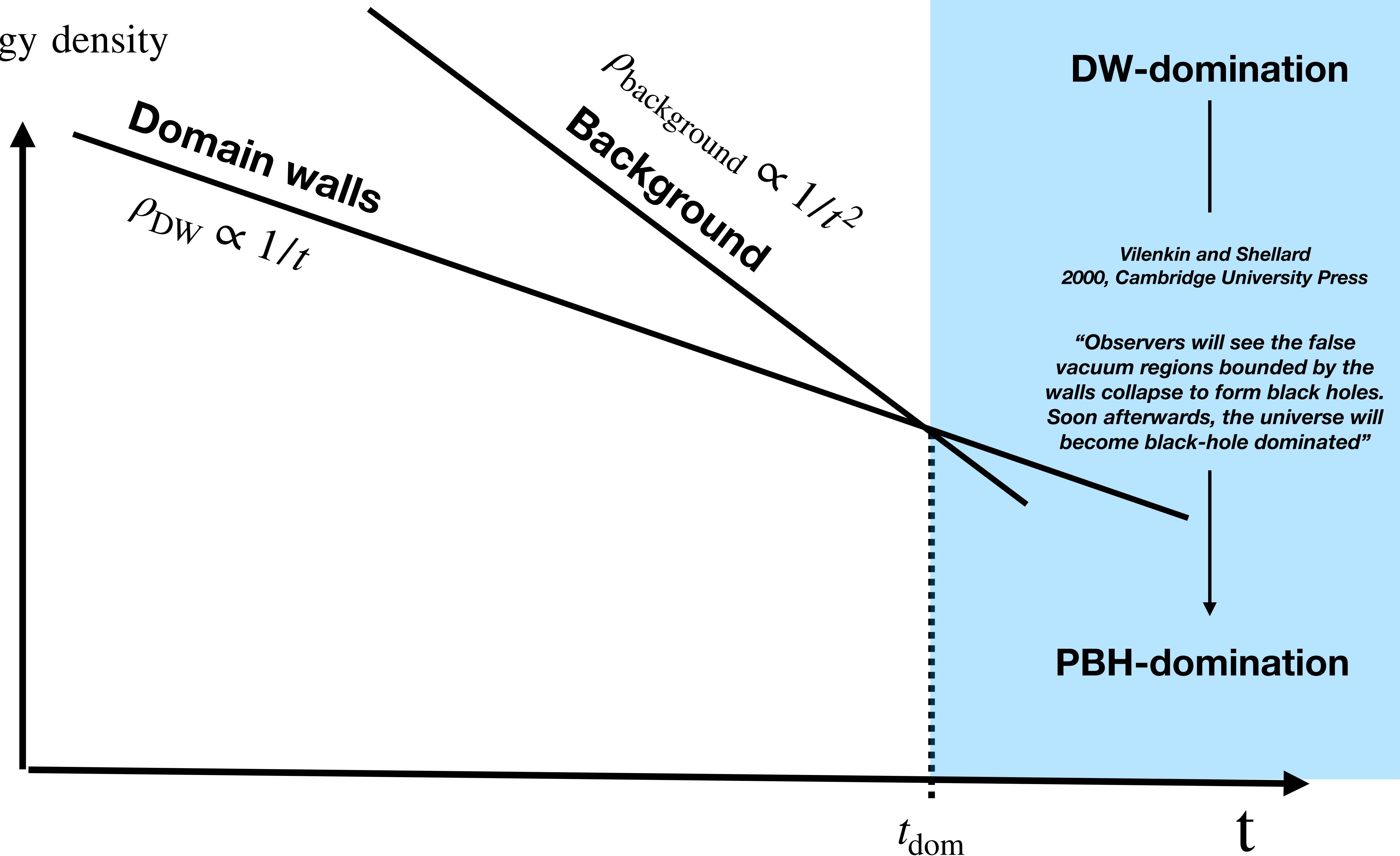
DW-domination



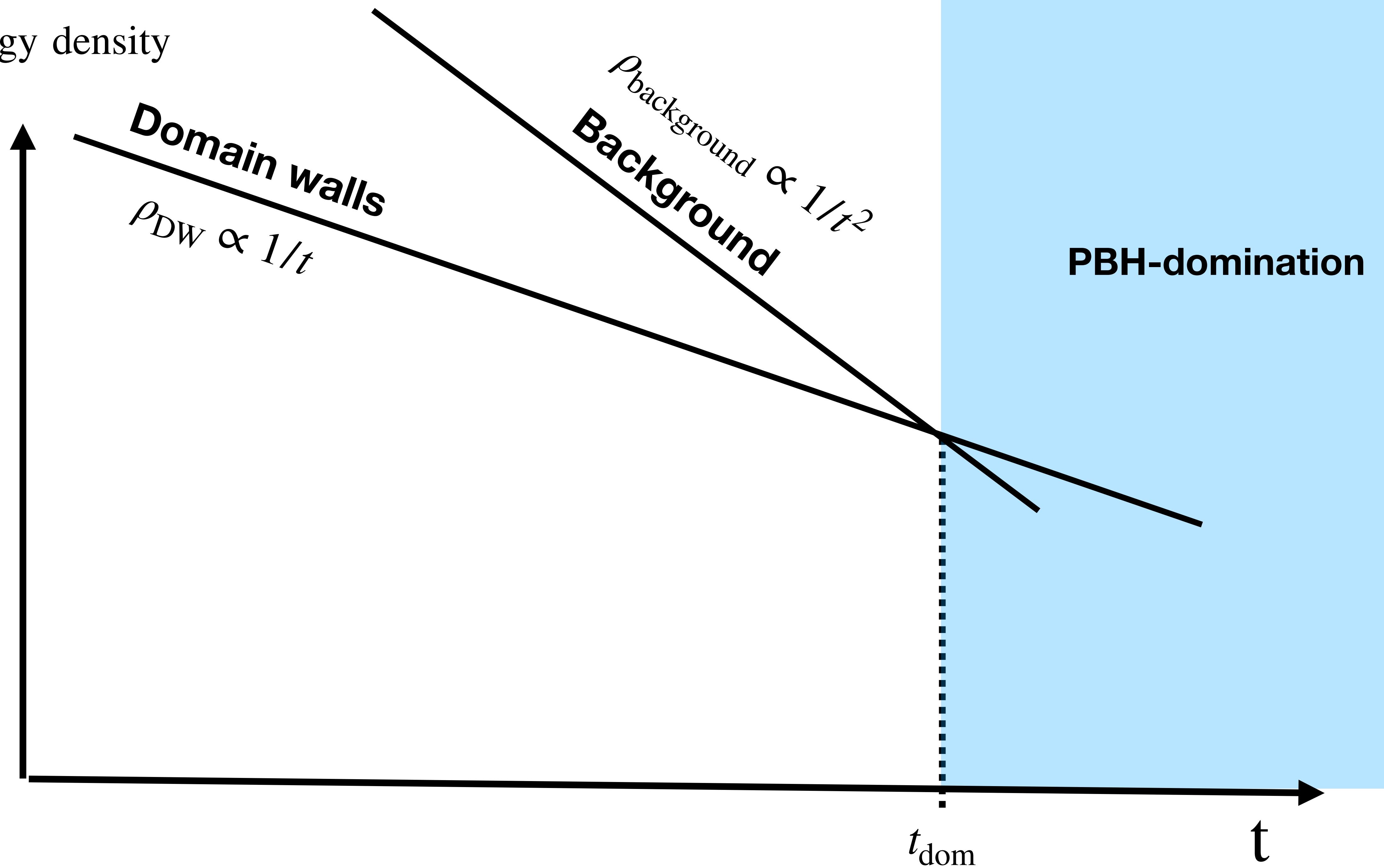
Energy density

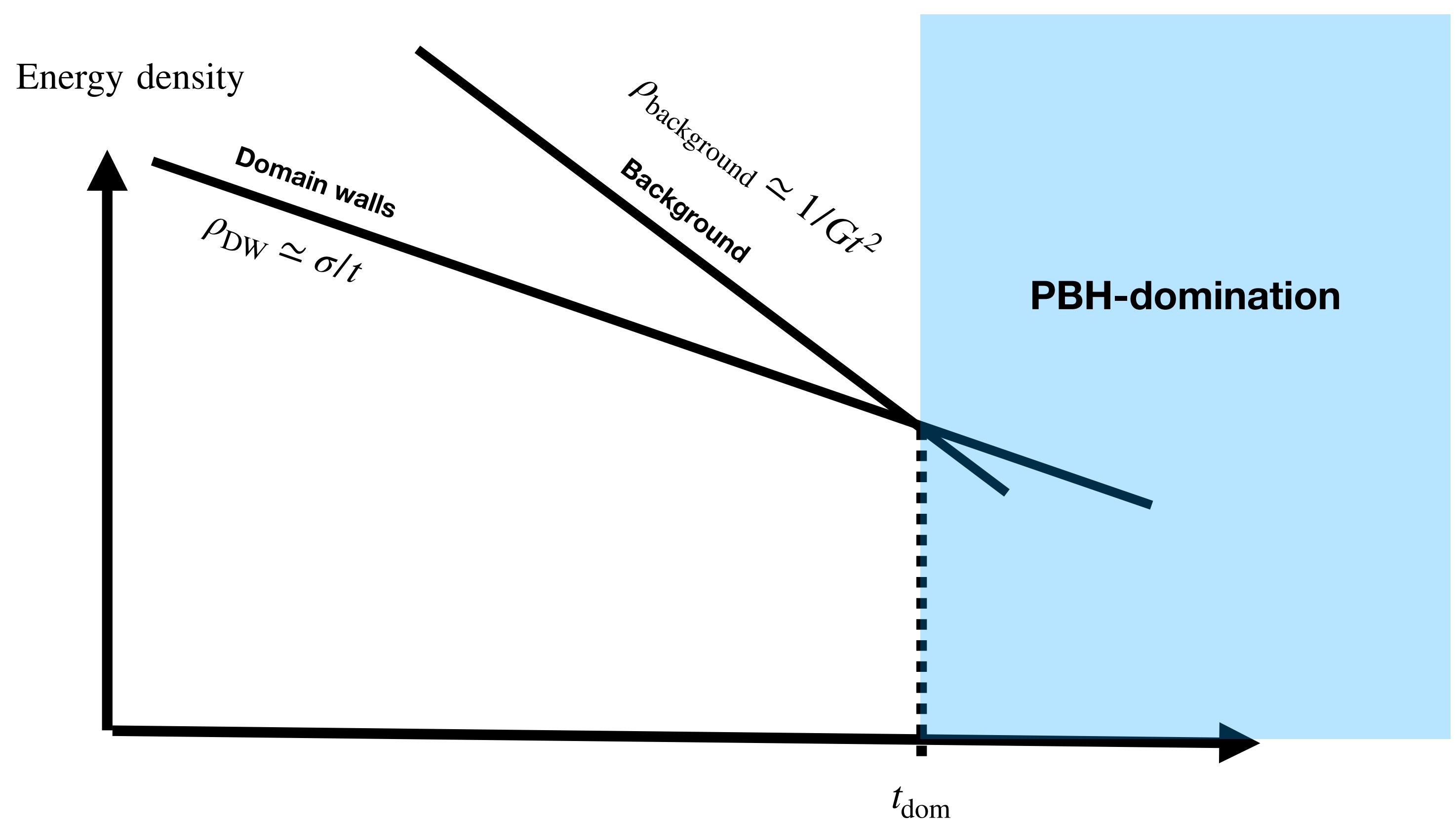


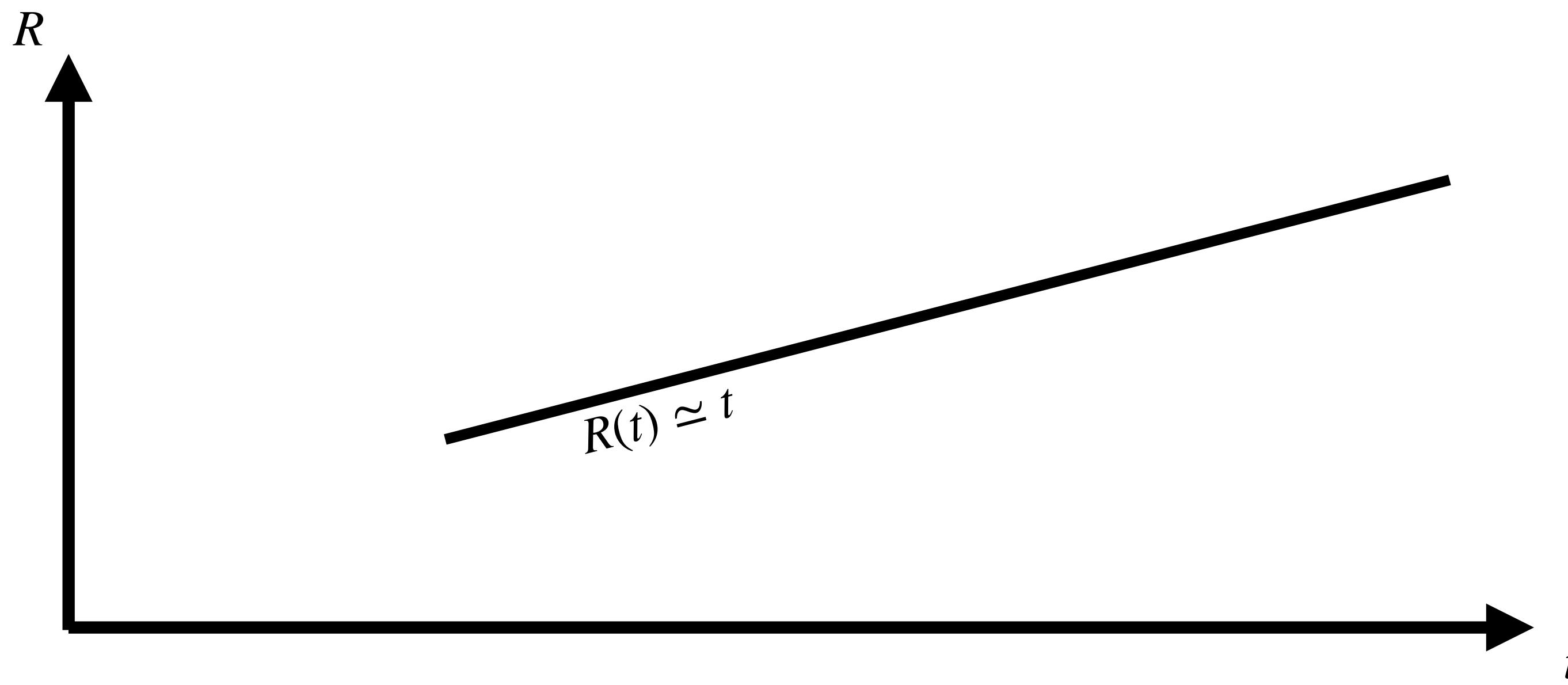
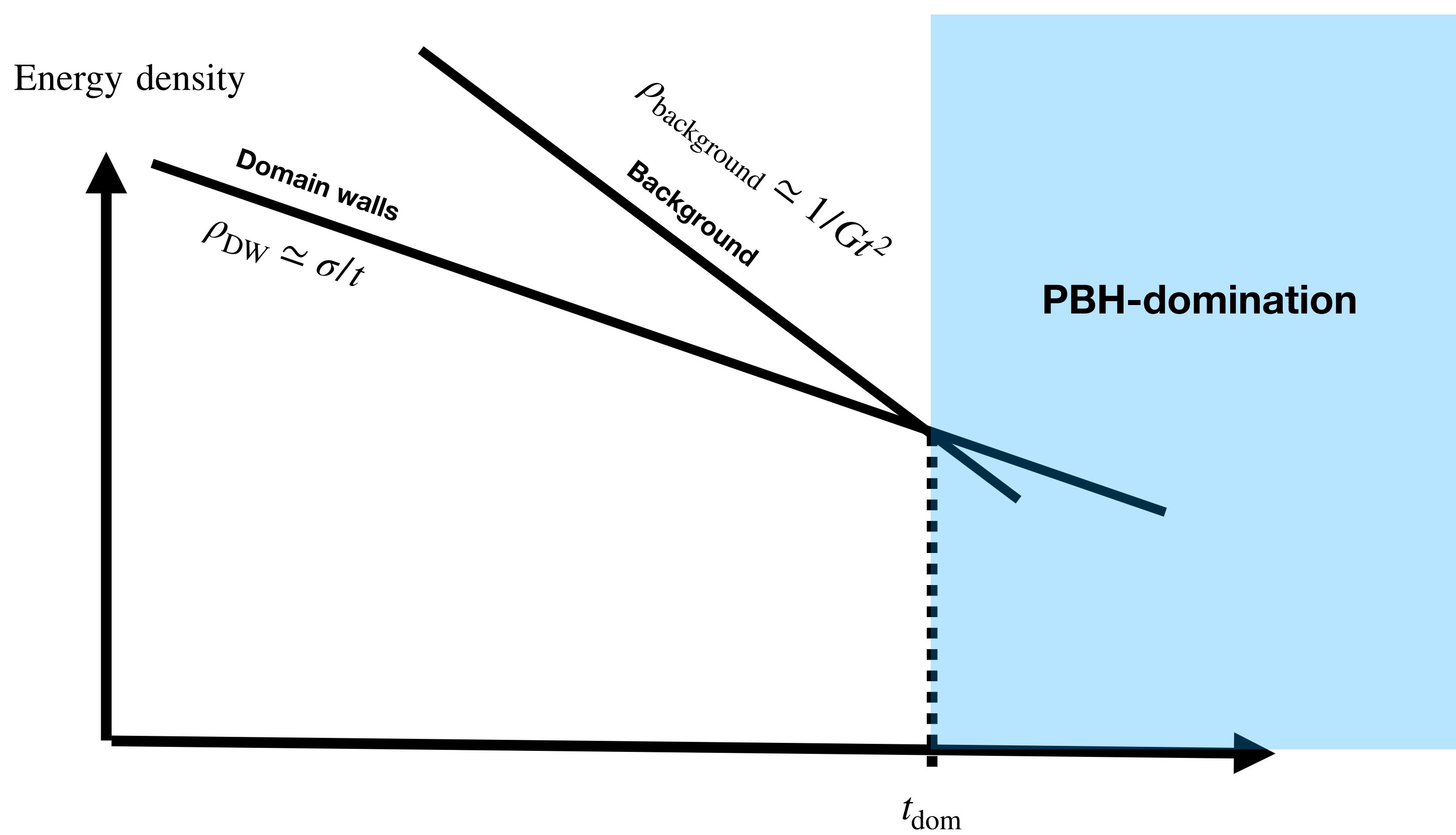
Energy density

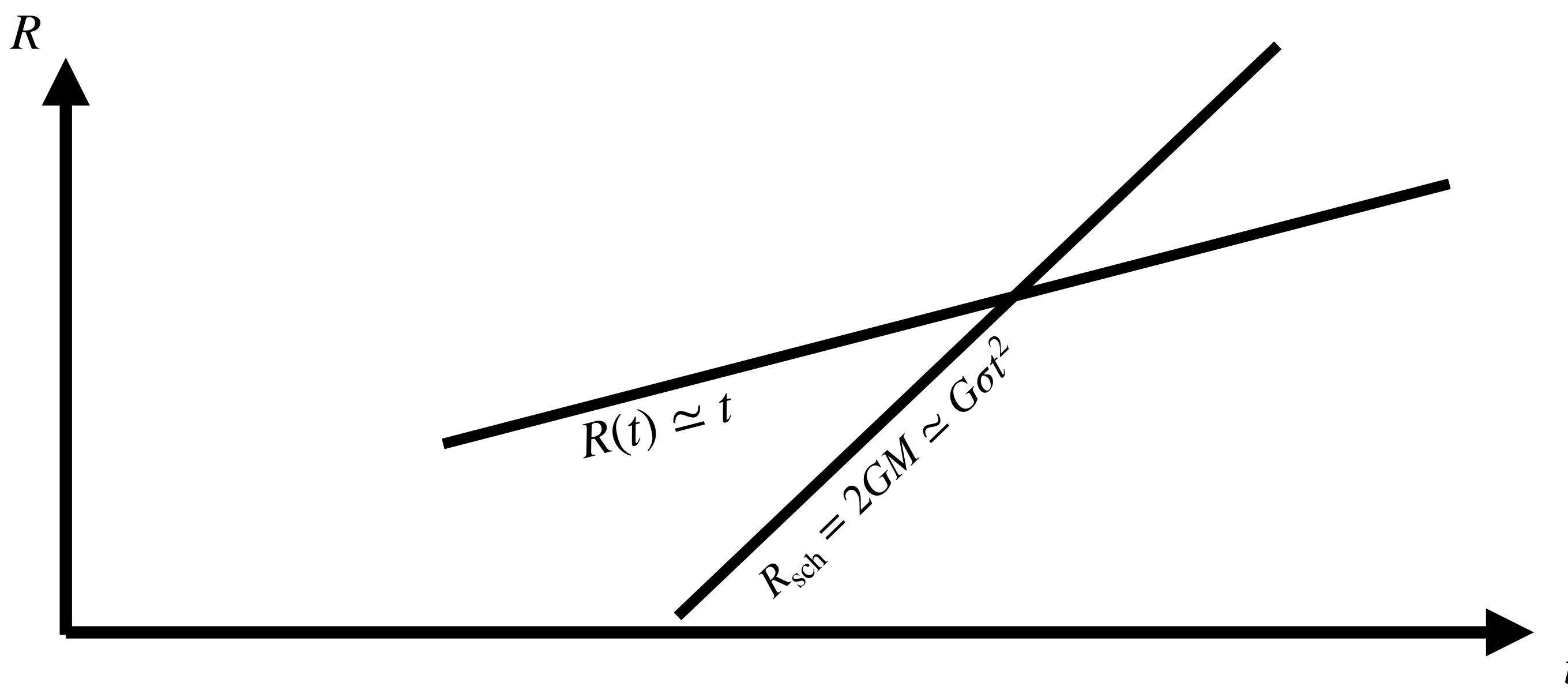
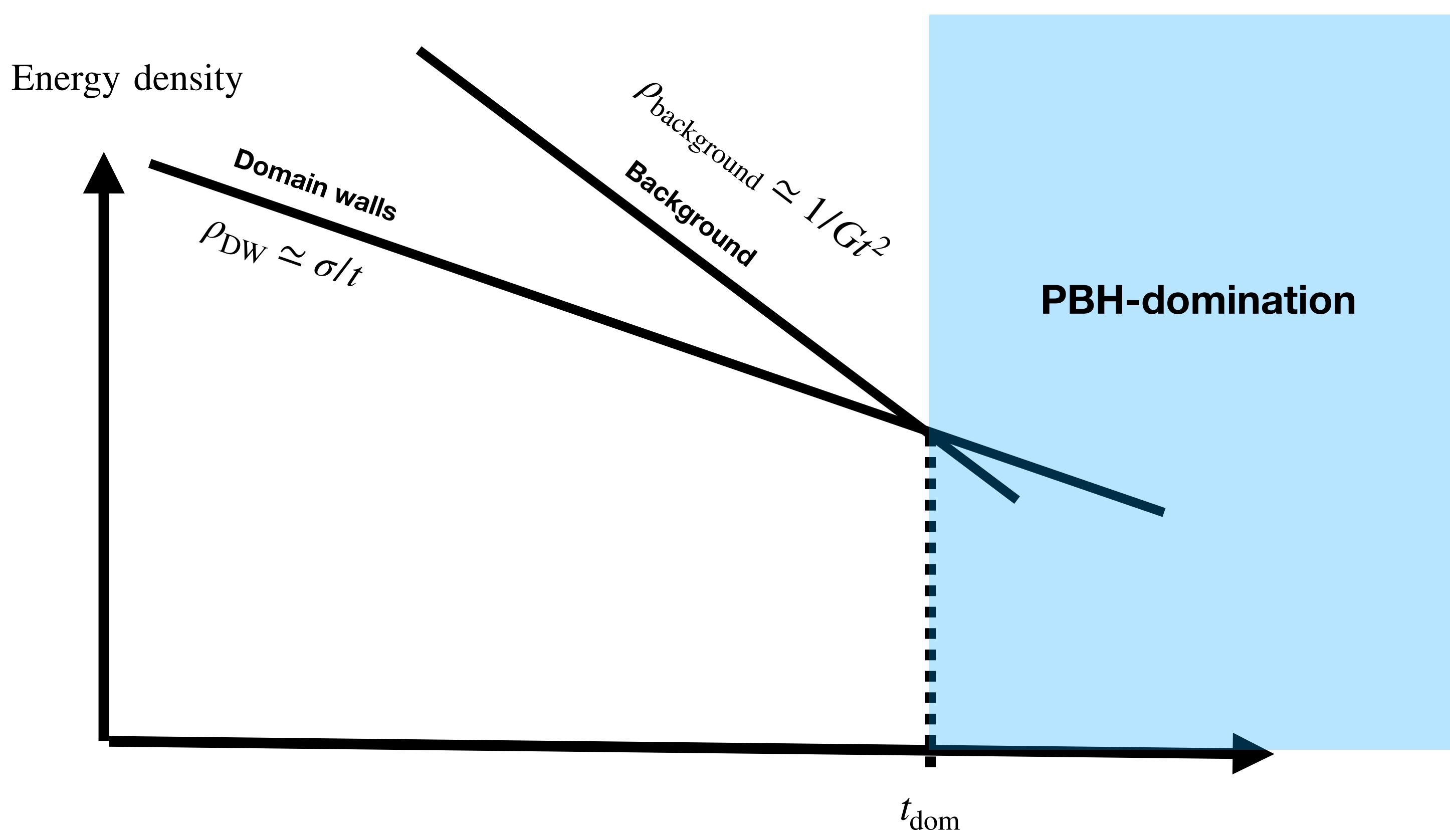


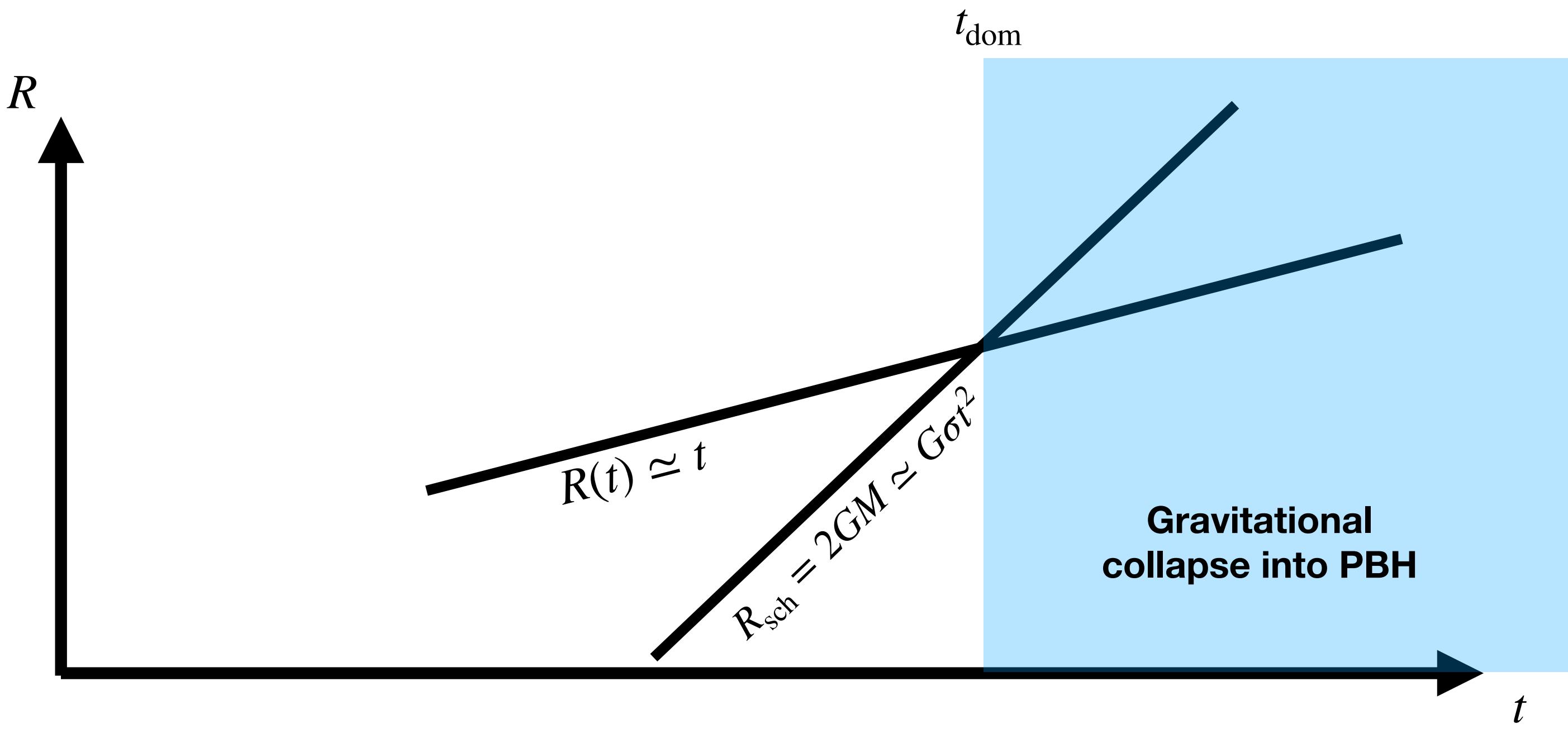
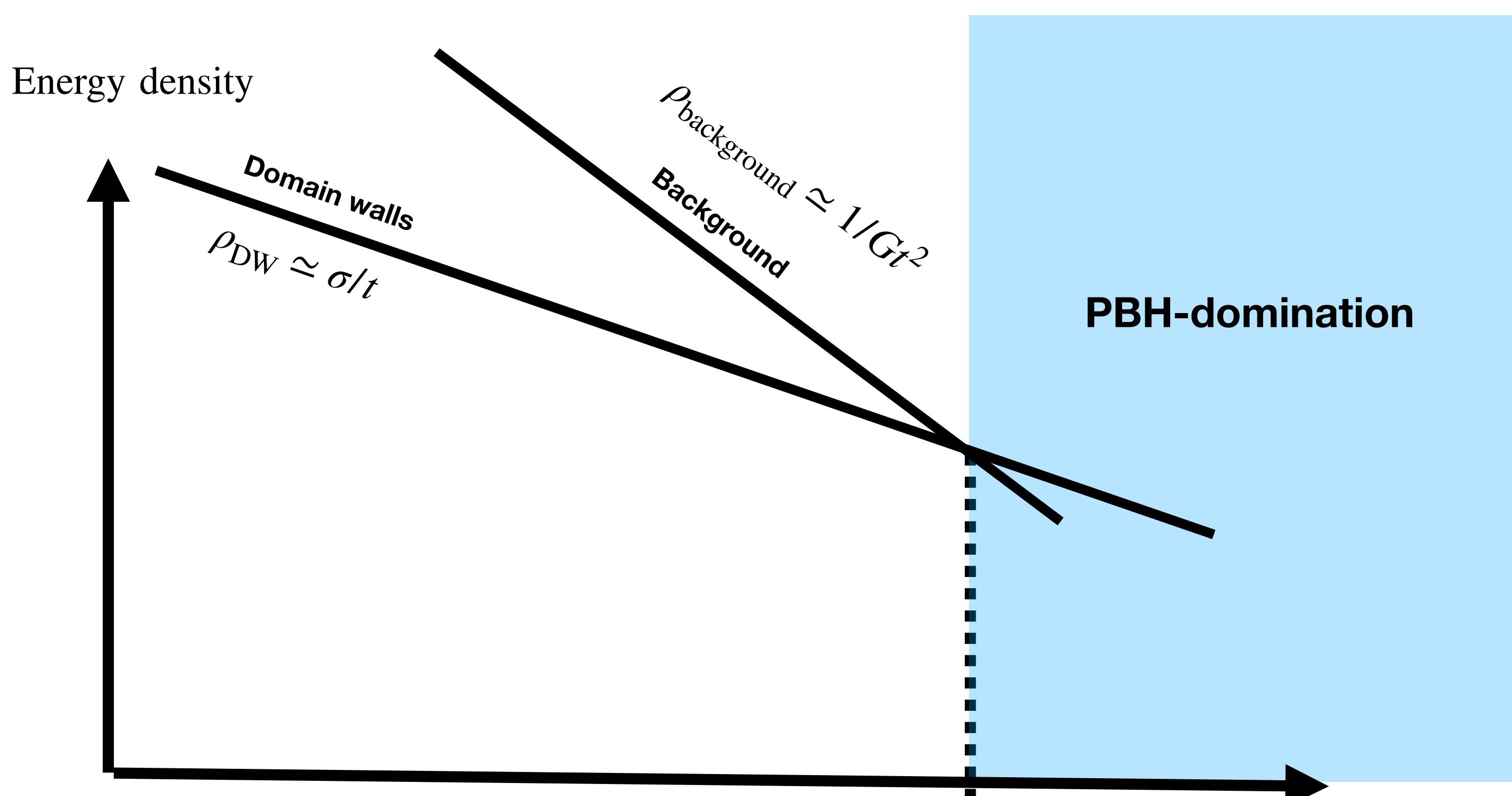
Energy density







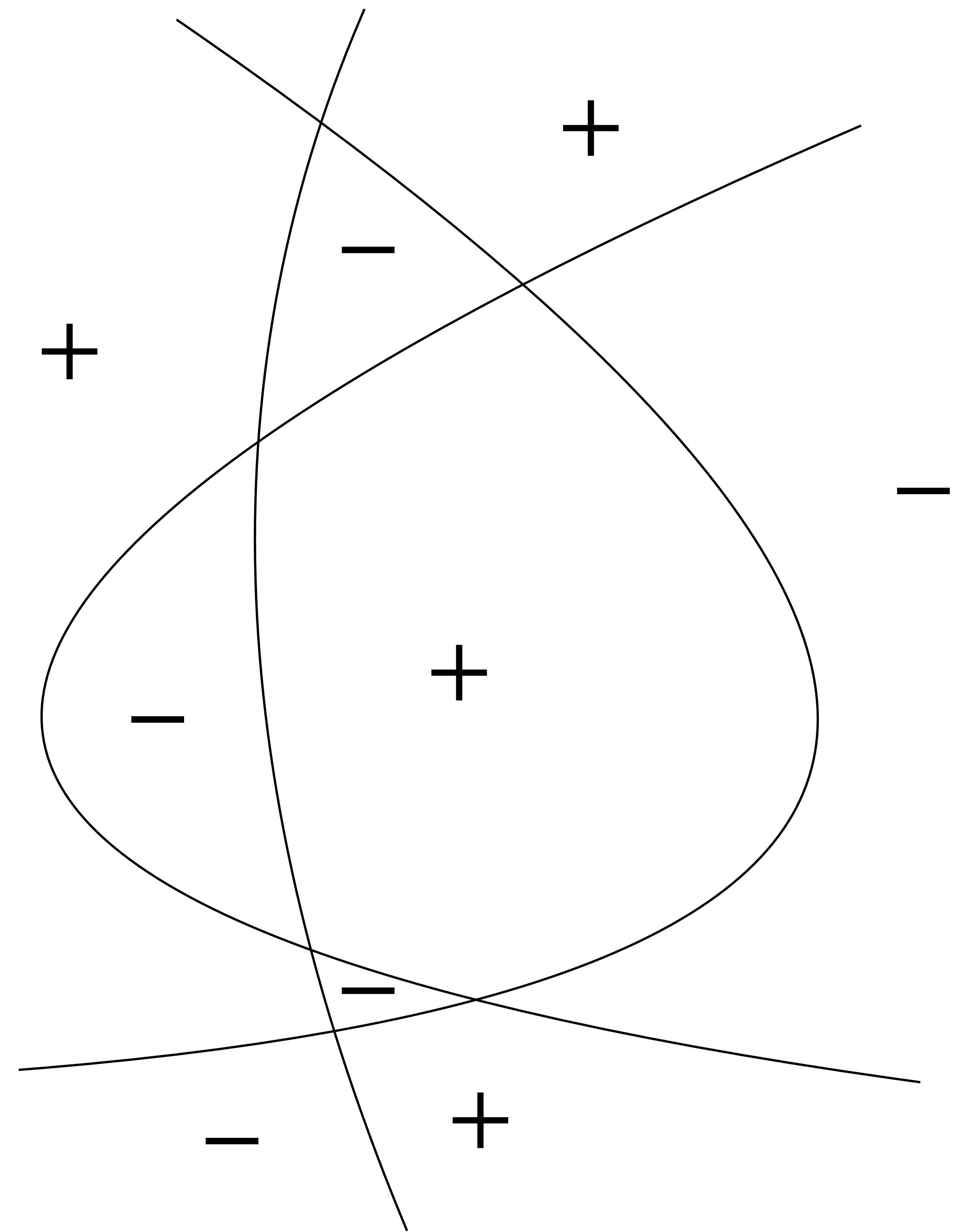
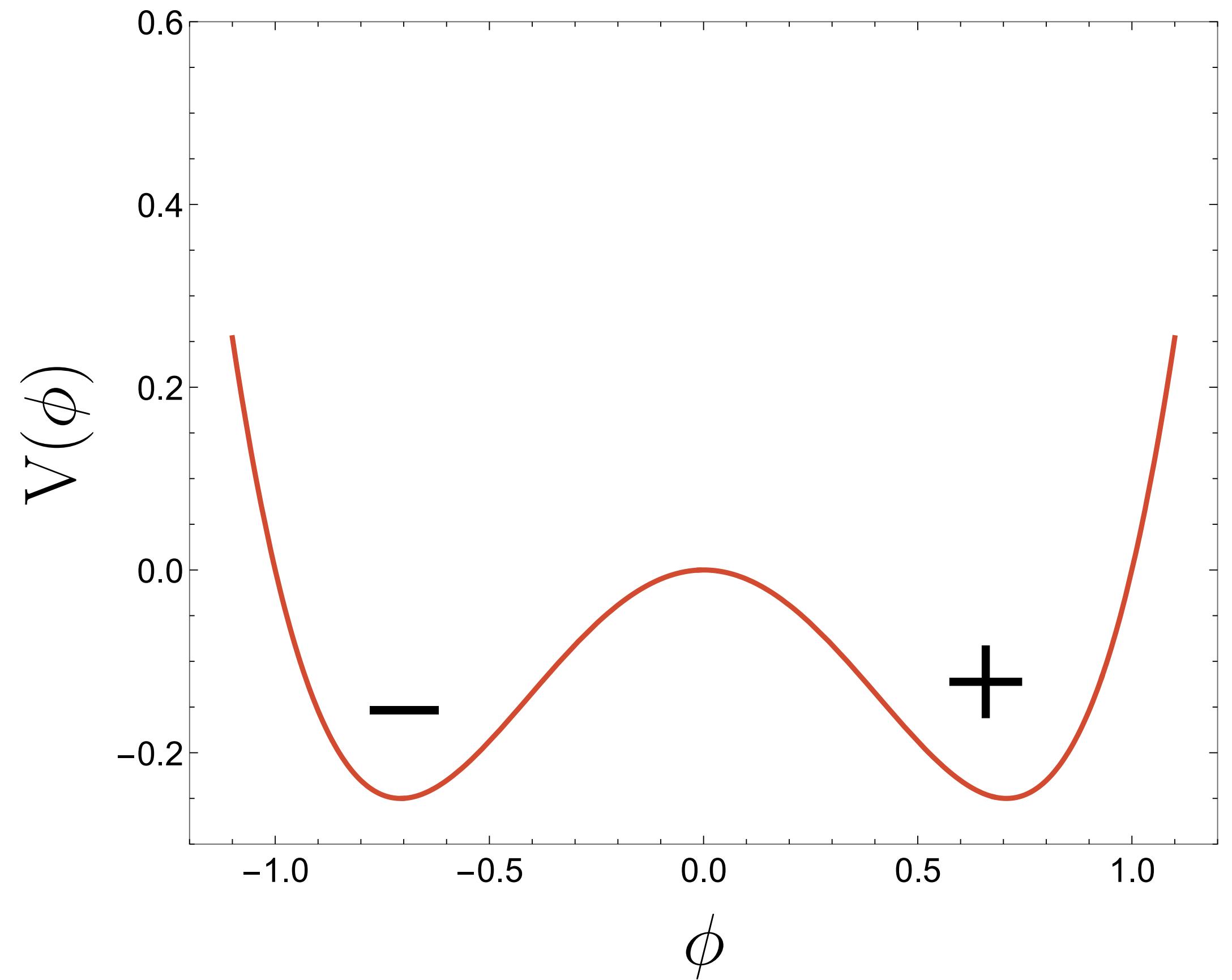




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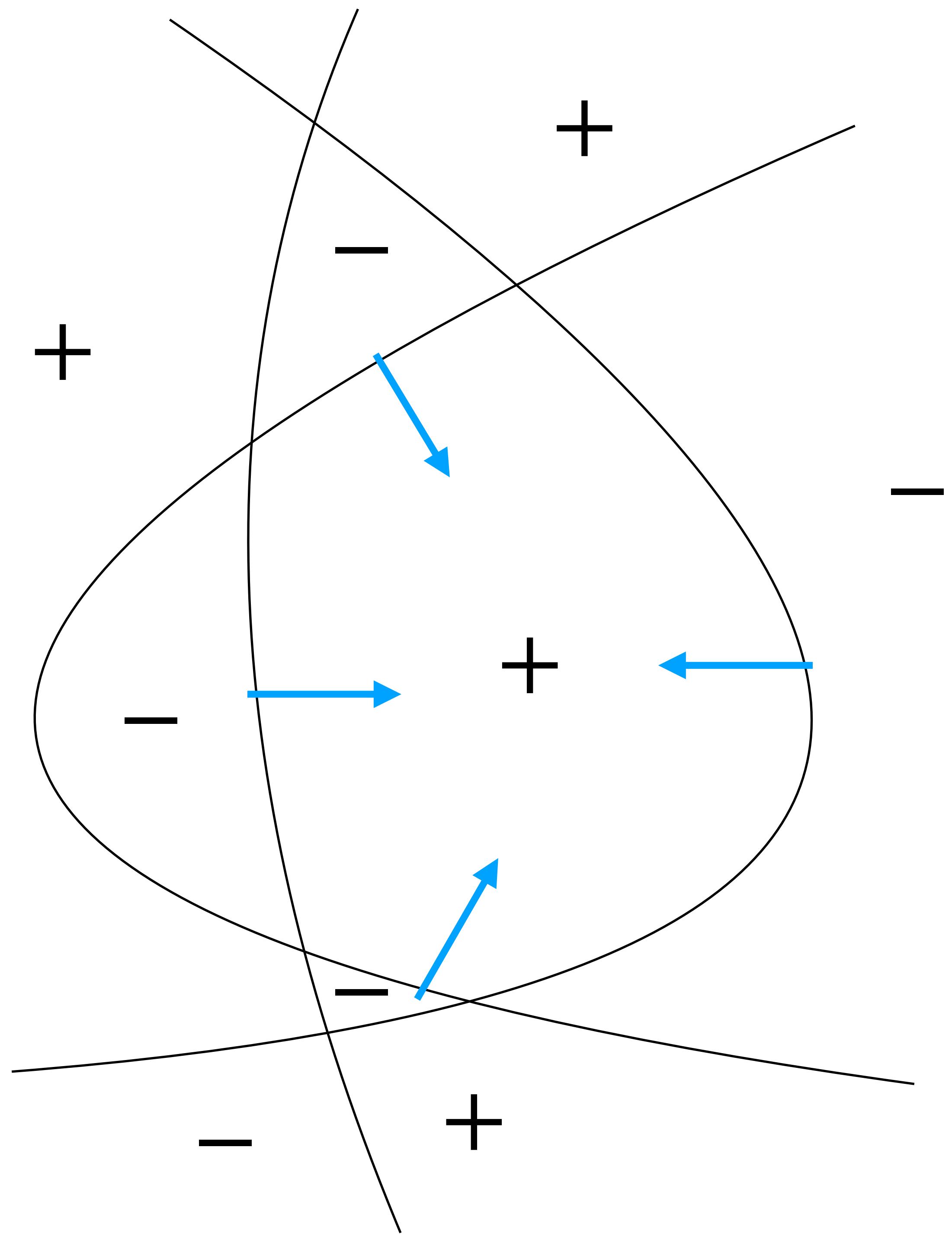
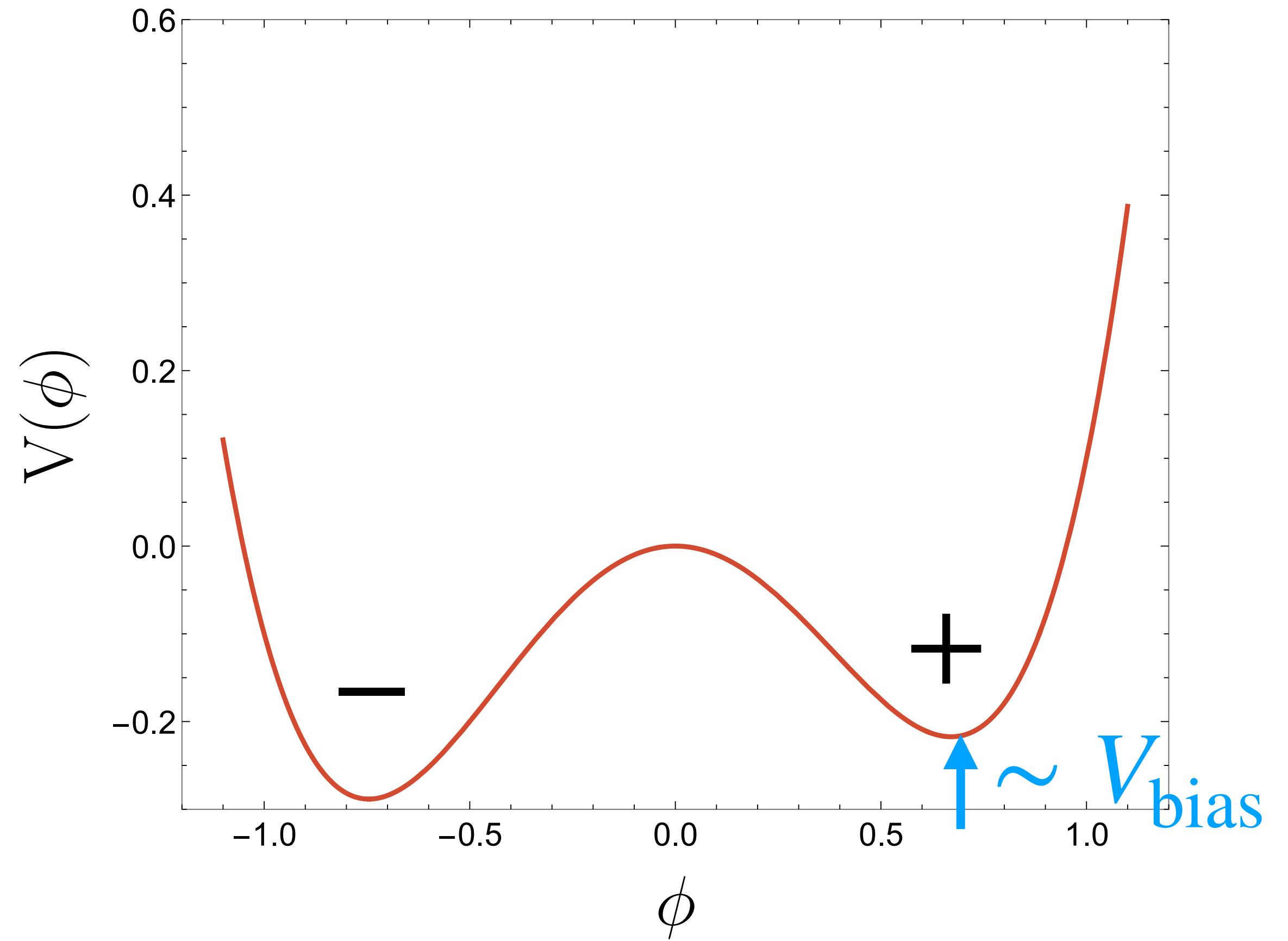
Break \mathbb{Z}_2



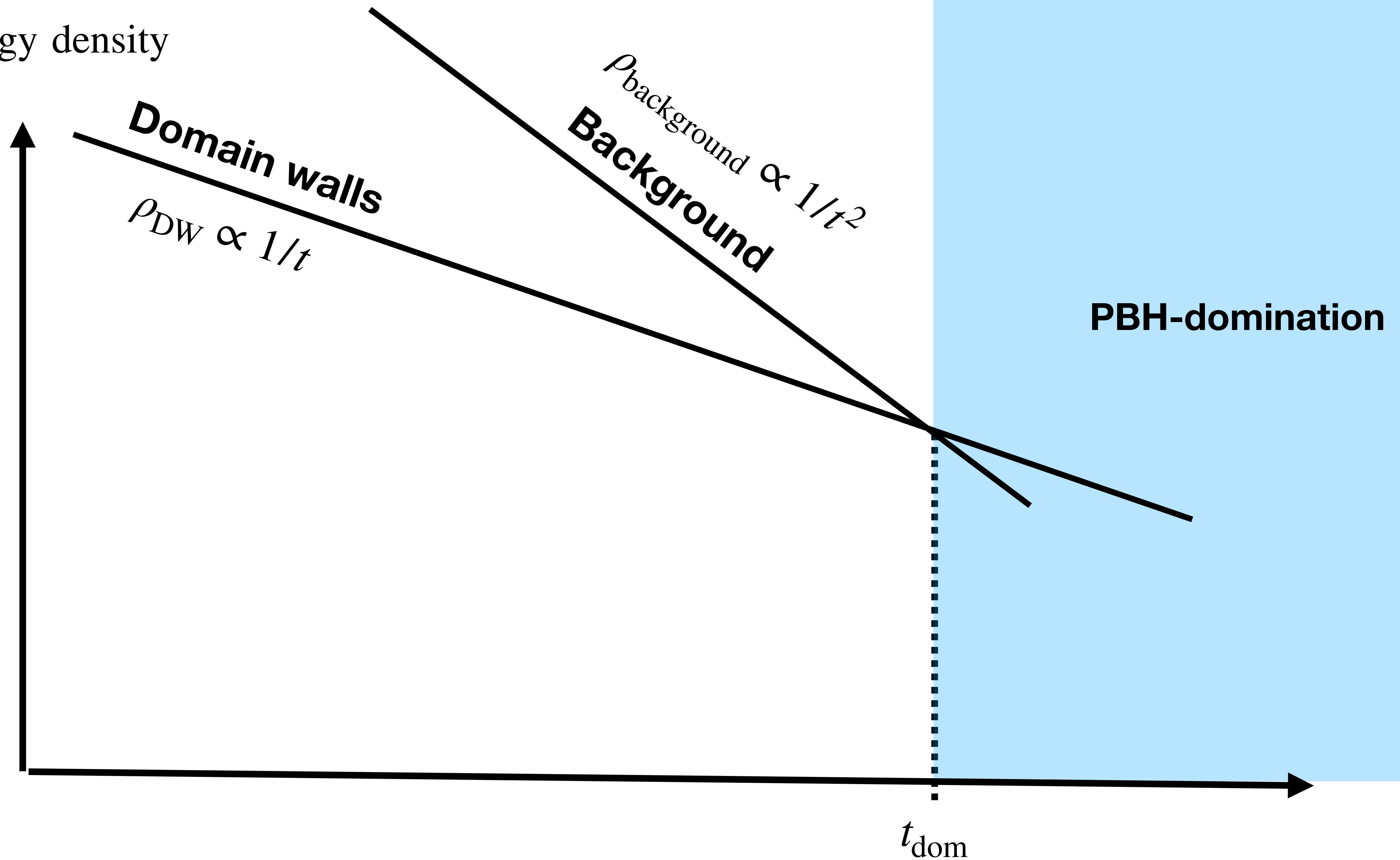
Formation of Domain Wall

$$V(\phi) = \lambda(\phi^2 - v_\phi^2)^2 + \epsilon\phi^3$$

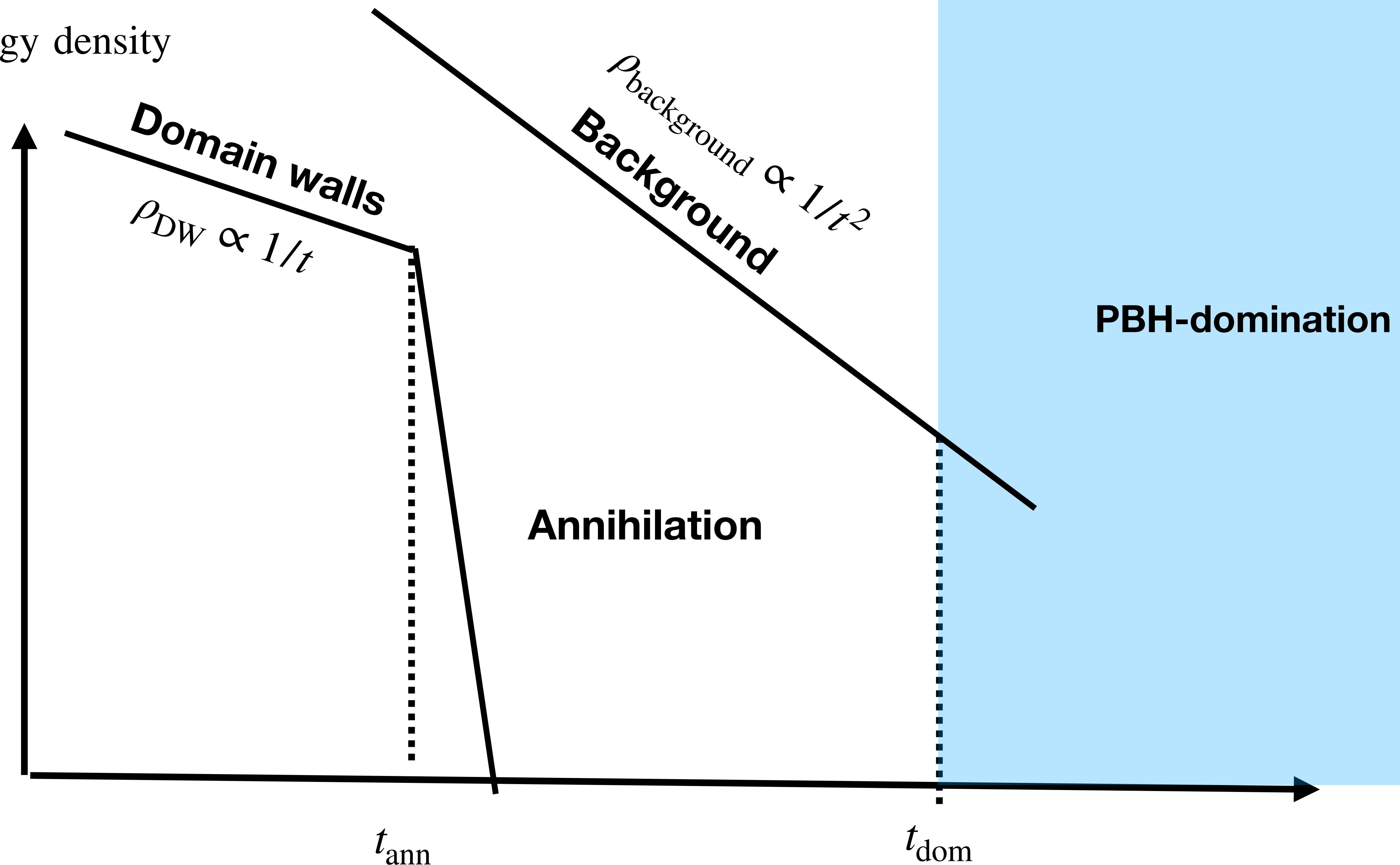
Break \mathbb{Z}_2



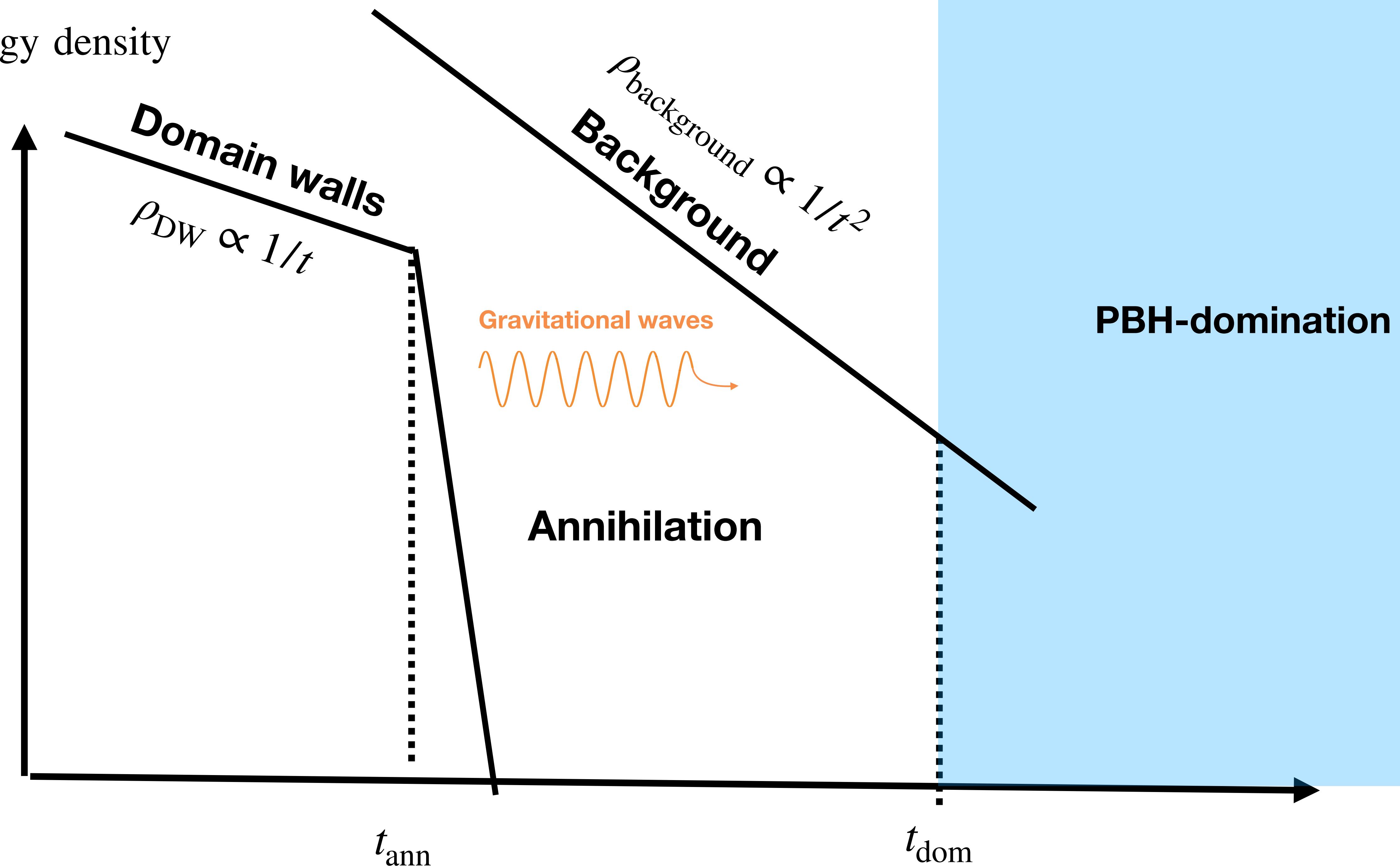
Energy density



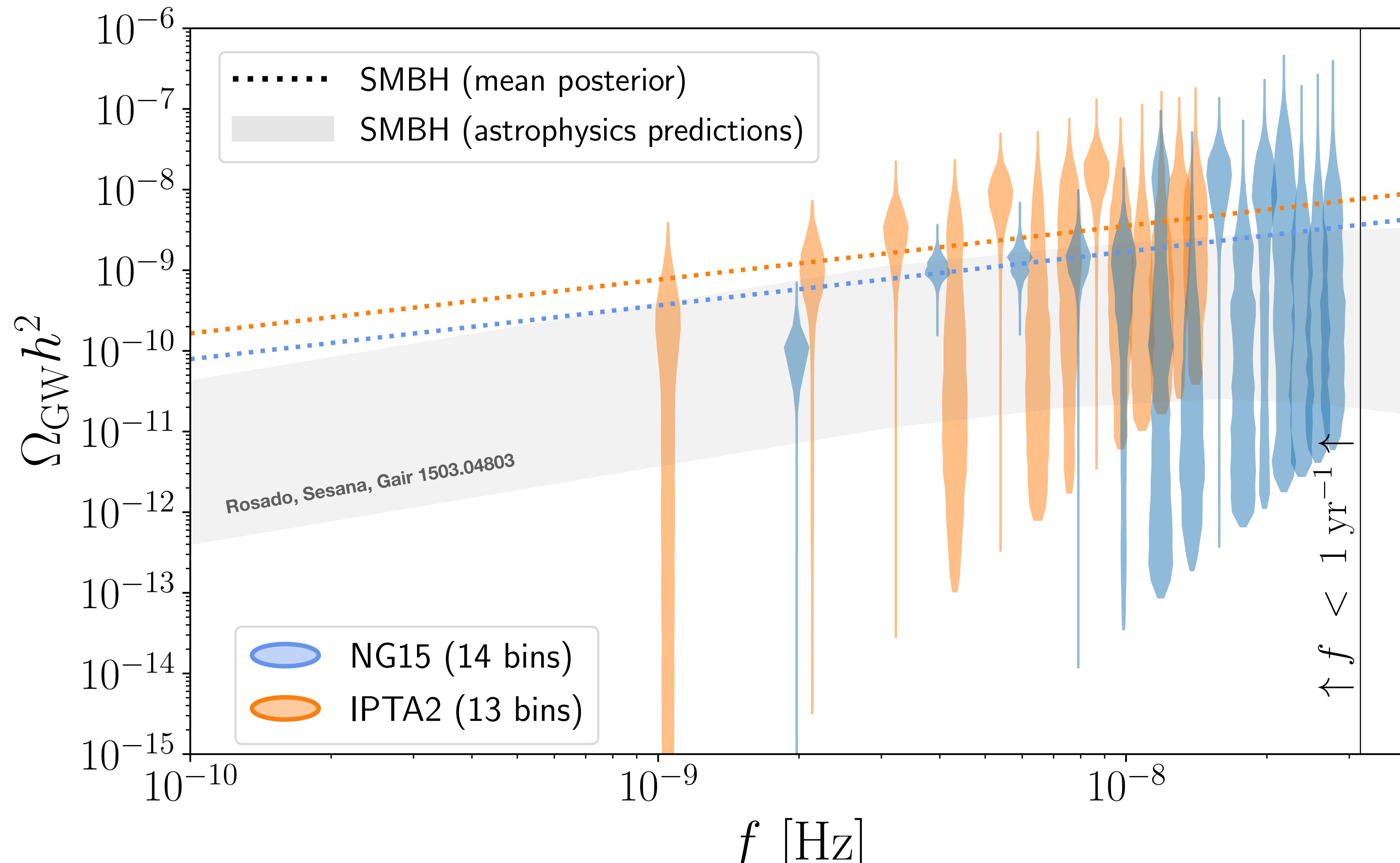
Energy density



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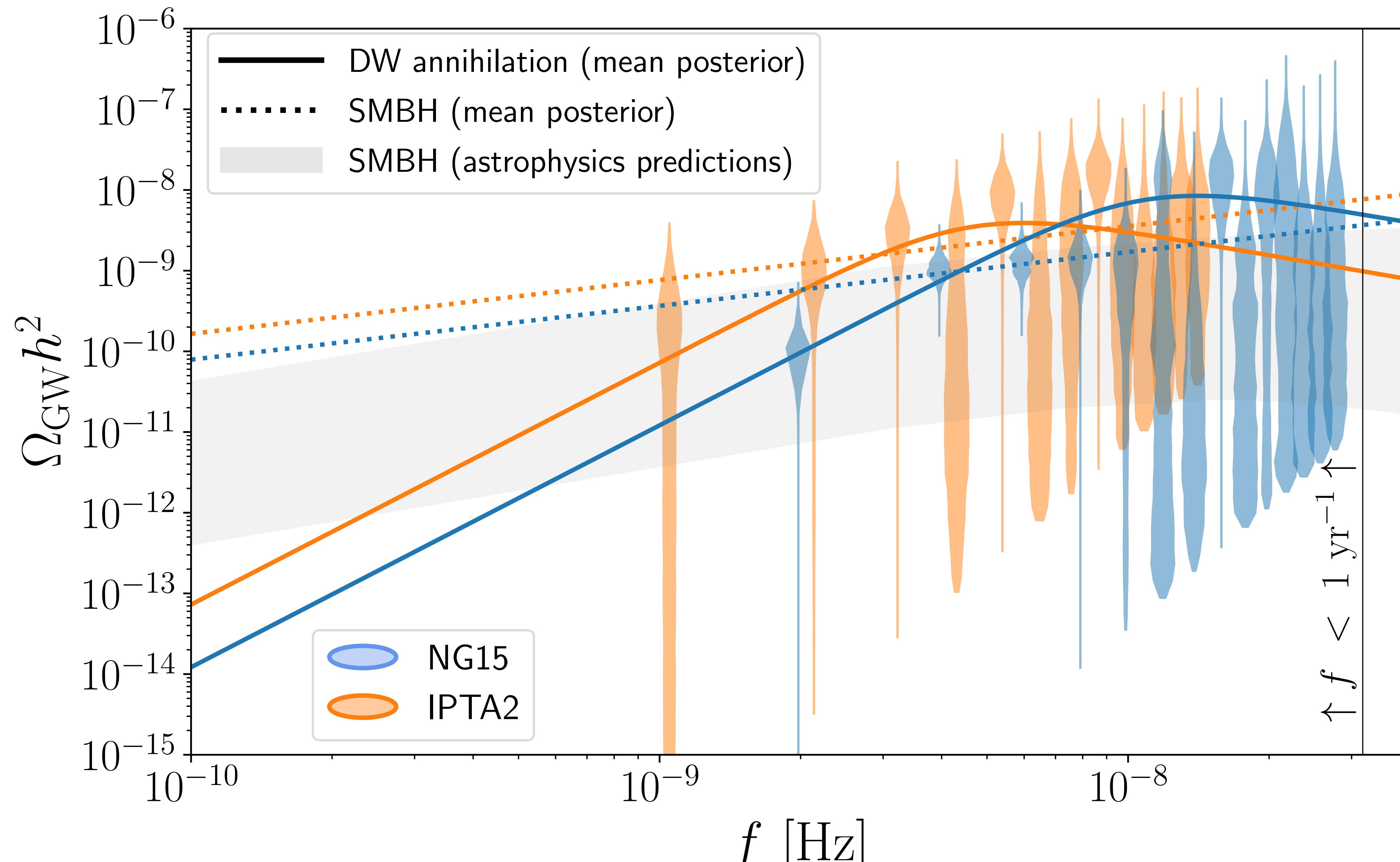


GW from DW annihilation in Pulsar Timing arrays



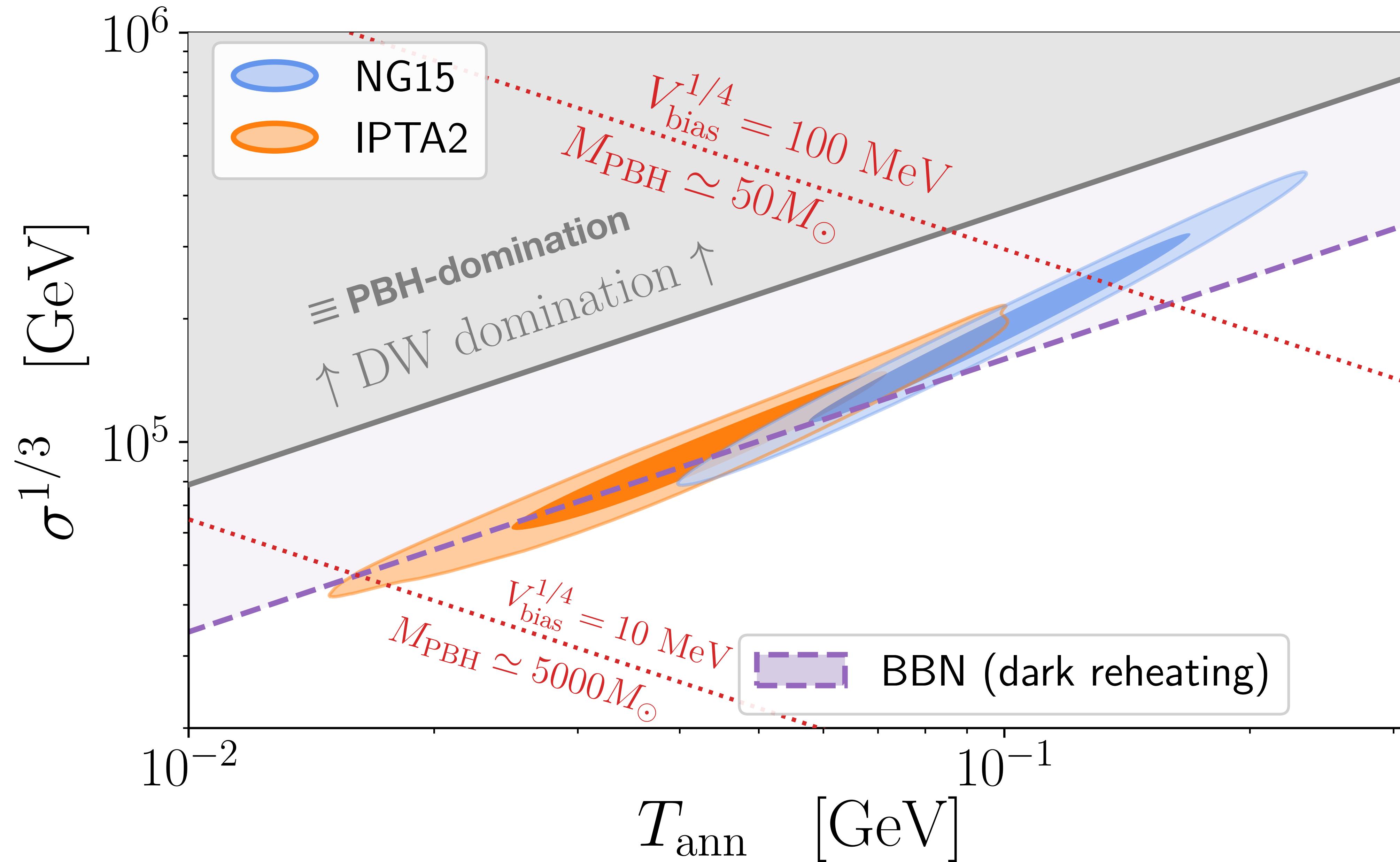
GW from DW annihilation in Pulsar Timing arrays

YG, E. Vitagliano, 2306.17841

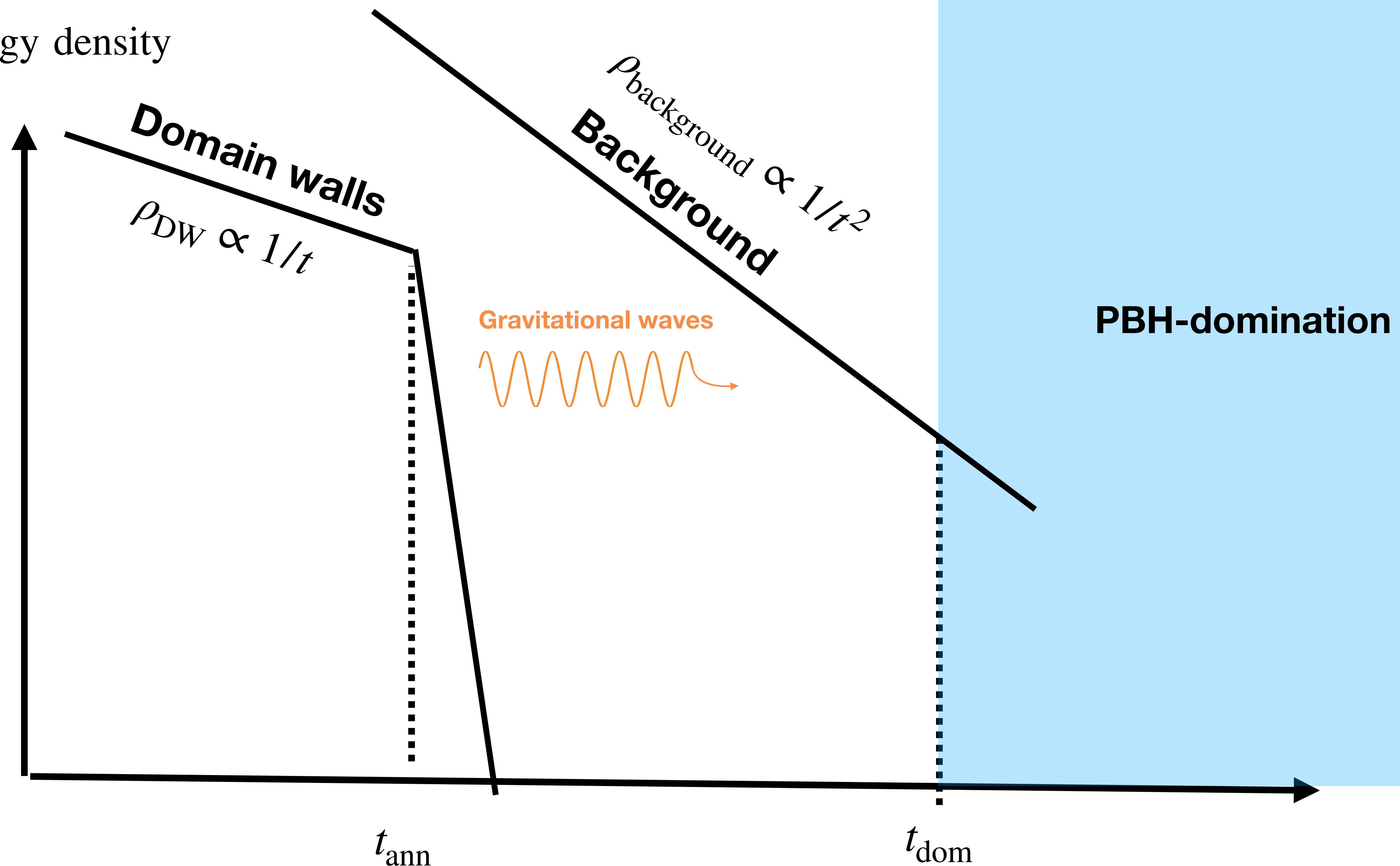


GW from DW annihilation in Pulsar Timing arrays

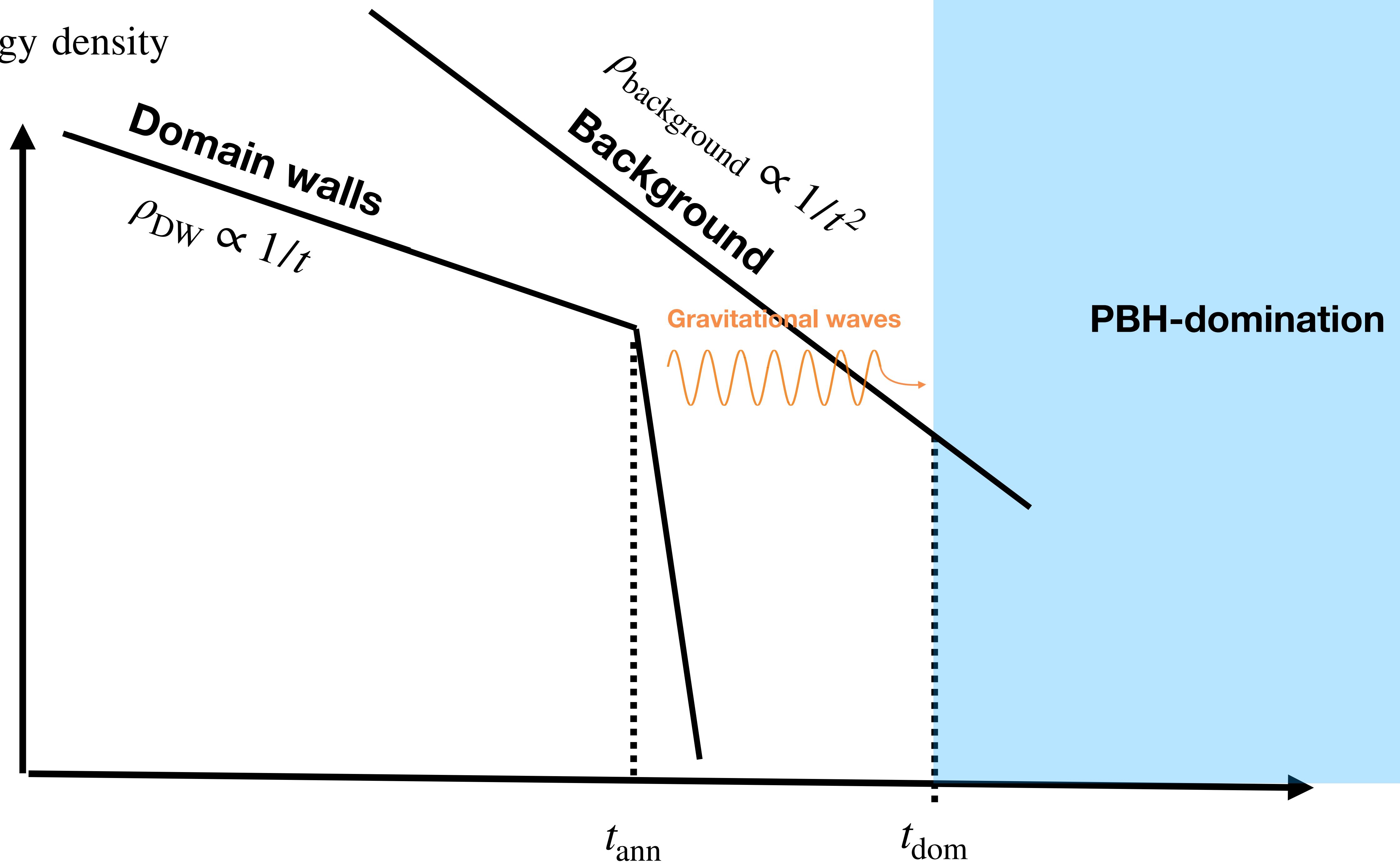
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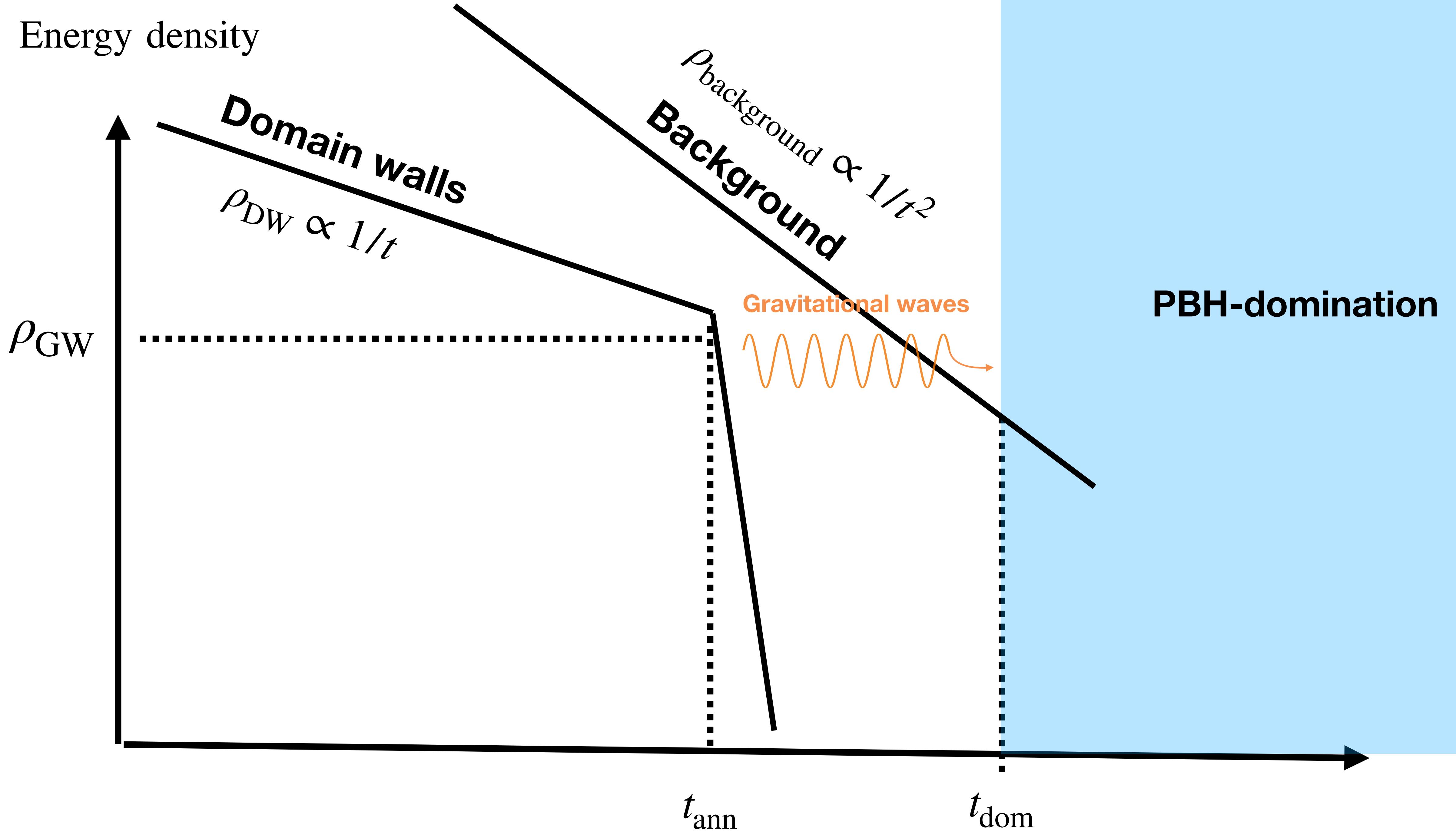


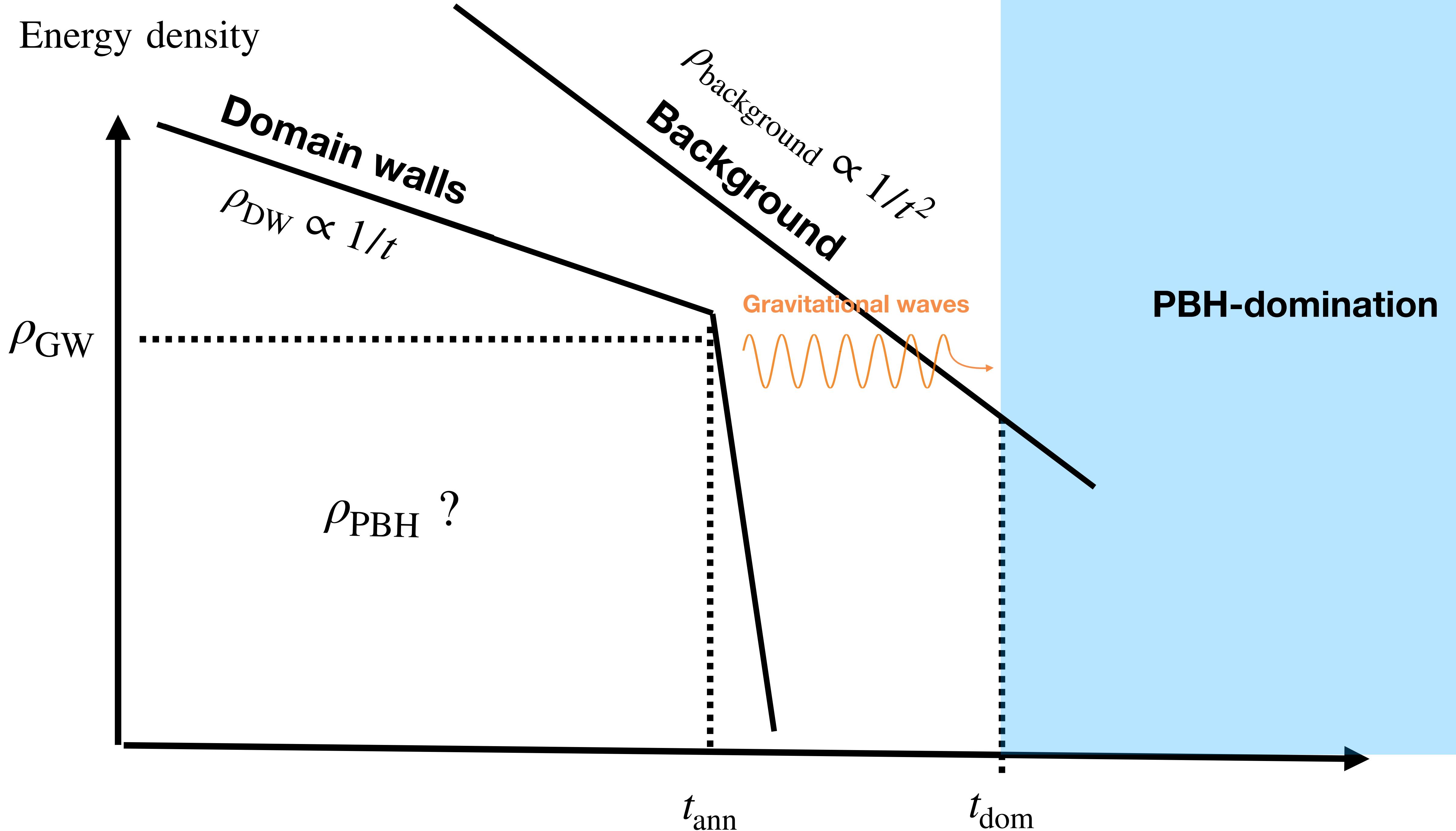
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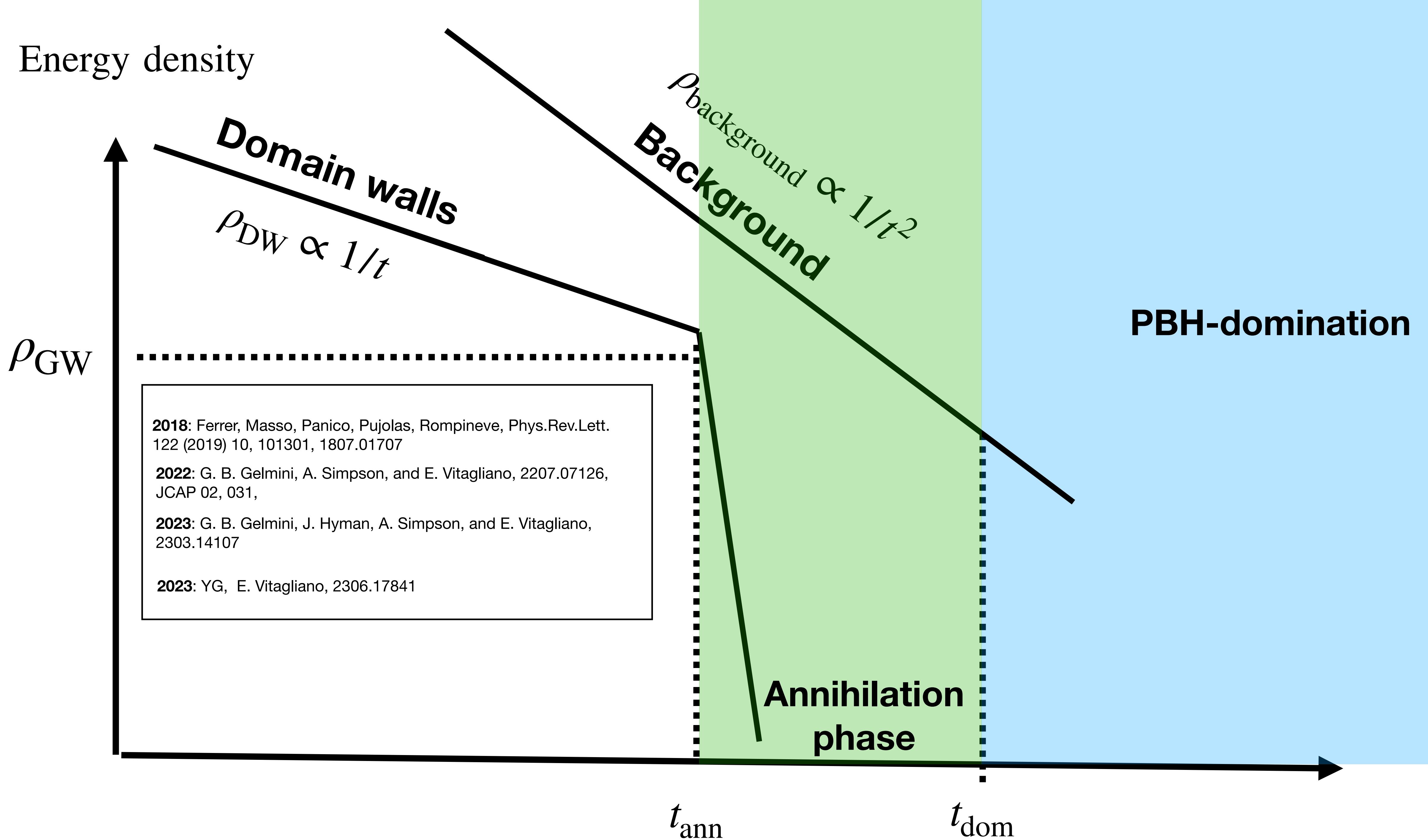


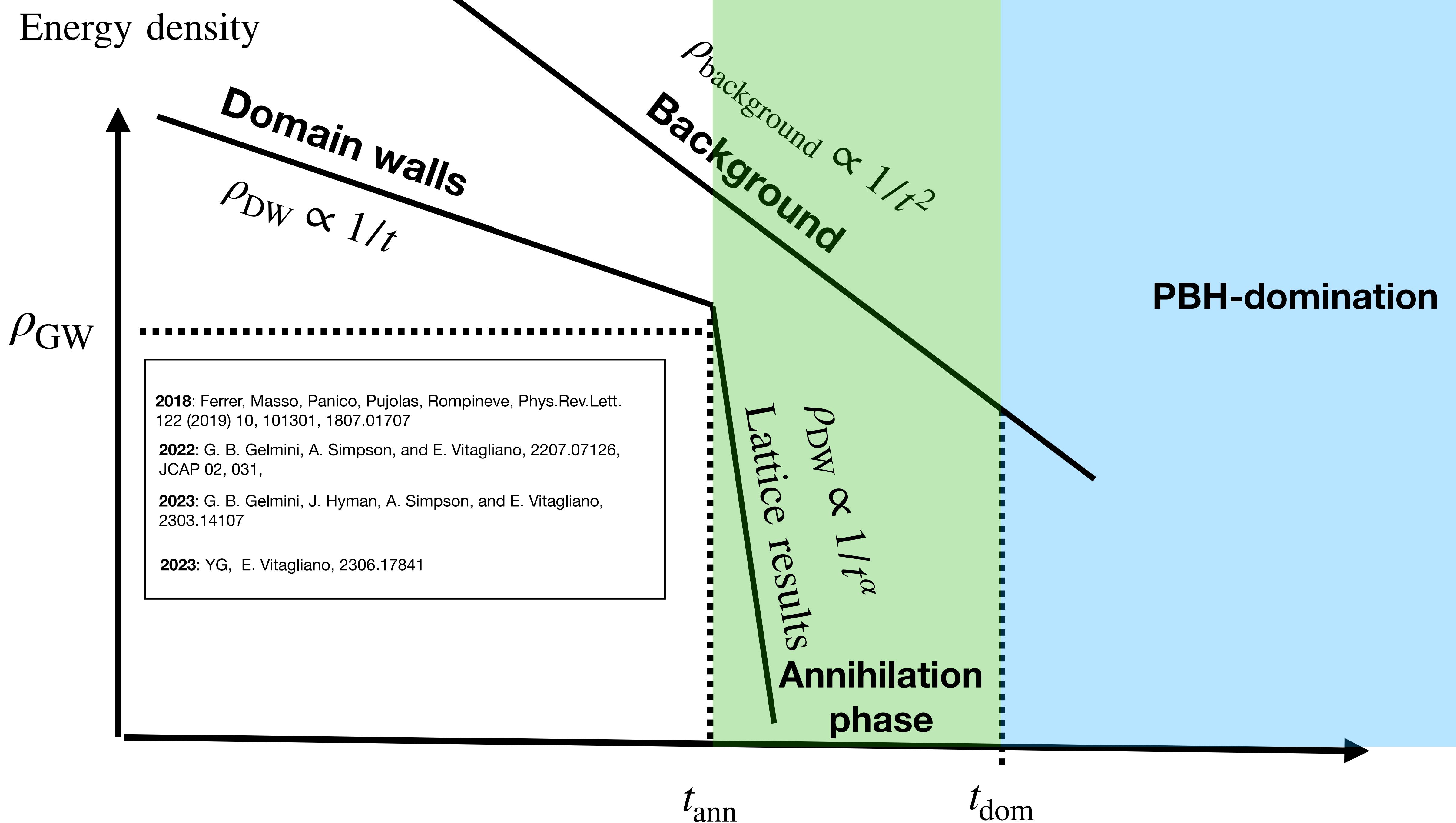
Energy density

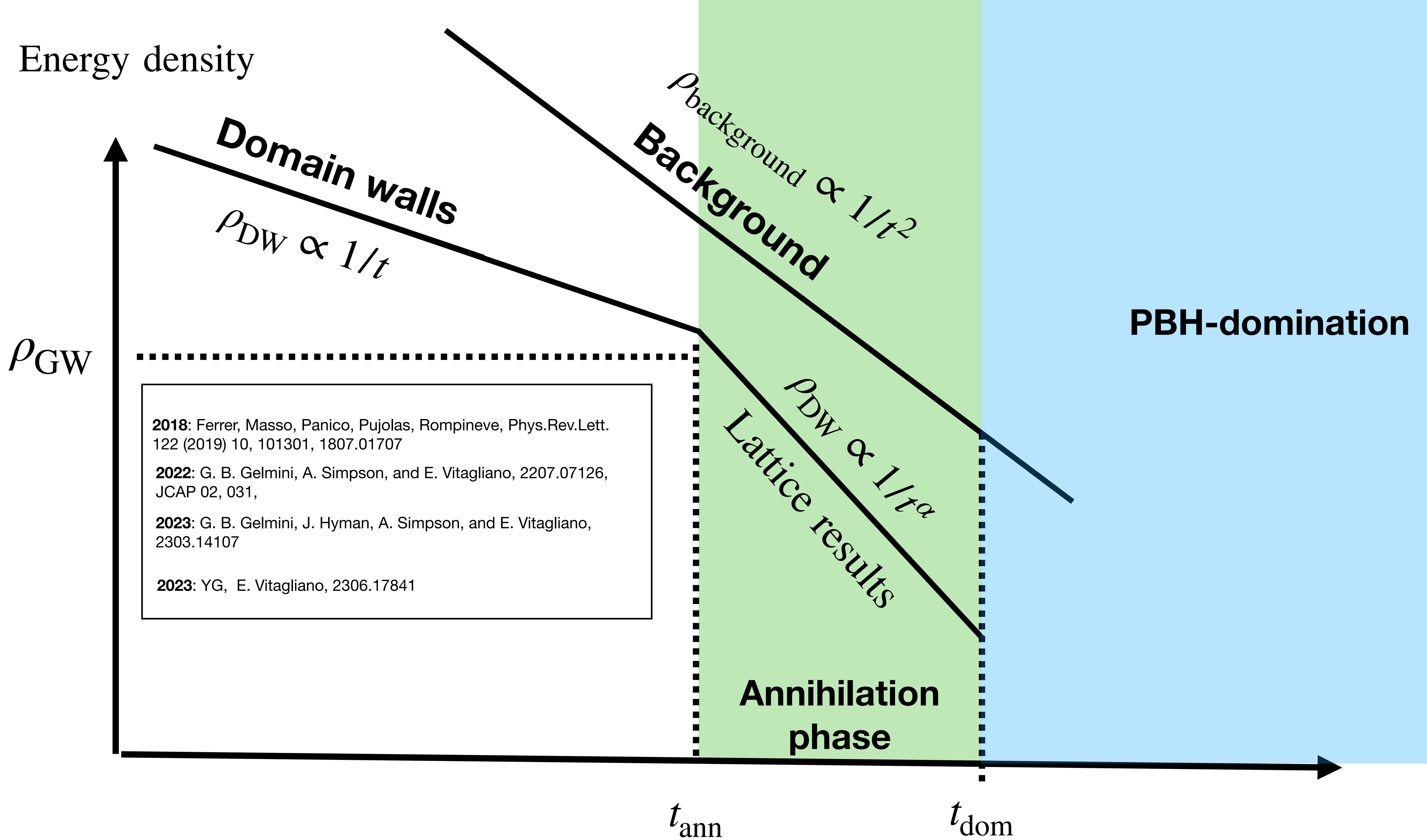


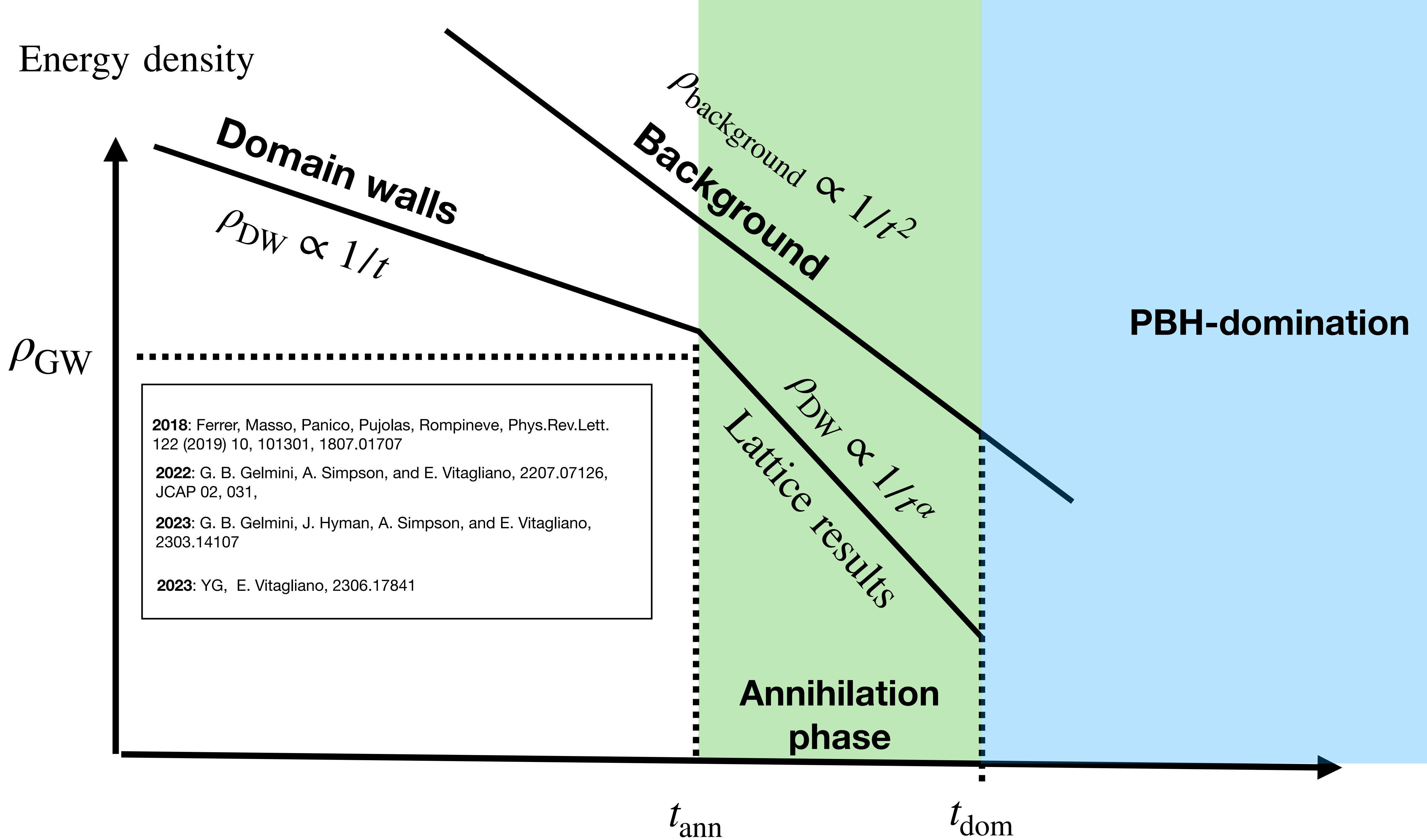


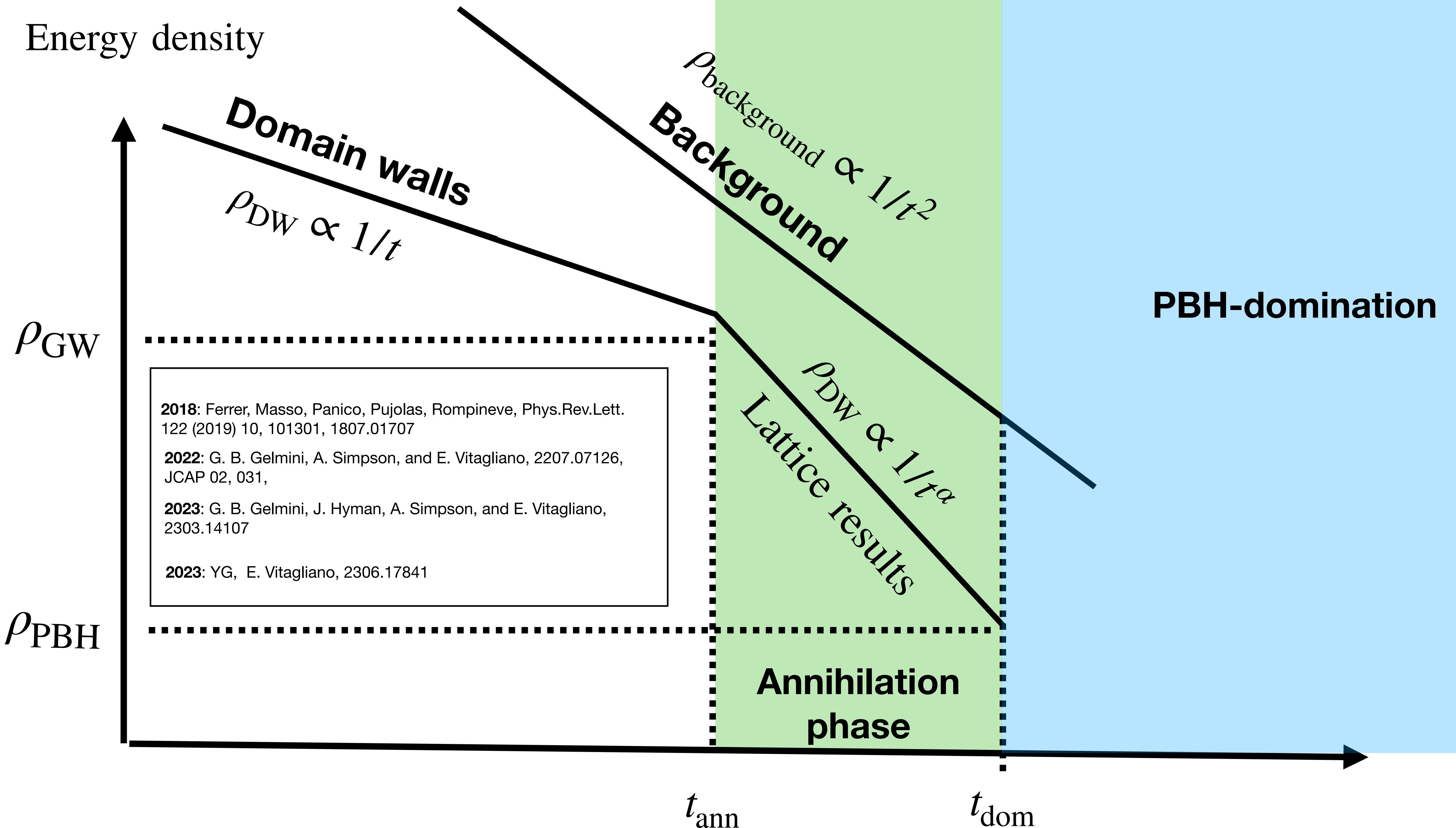










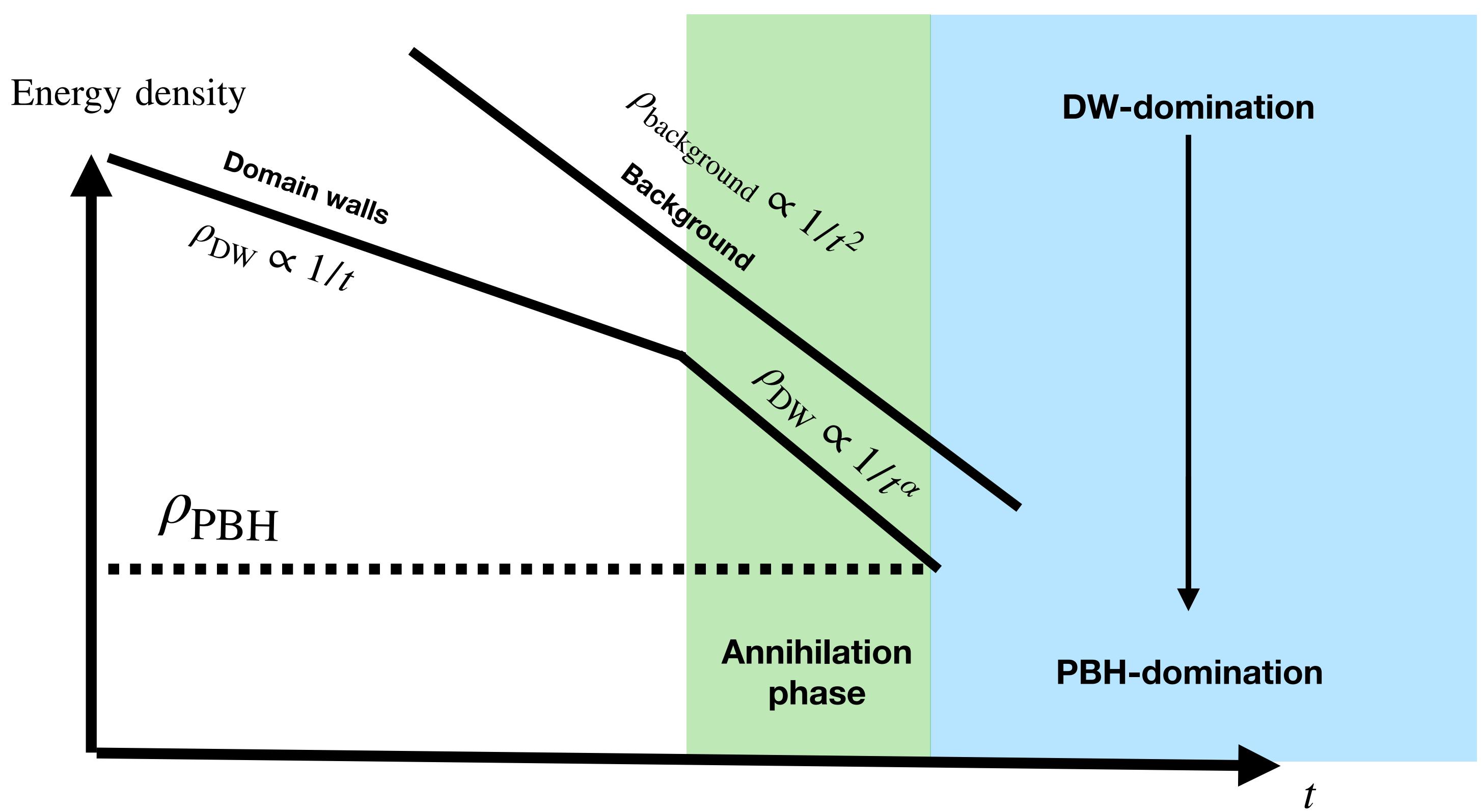


2018: Ferrer, Masso, Panico, Pujolas, Rompineve, Phys.Rev.Lett. 122 (2019) 10, 101301, 1807.01707

2022: G. B. Gelmini, A. Simpson, and E. Vitagliano, 2207.07126, JCAP 02, 031,

2023: G. B. Gelmini, J. Hyman, A. Simpson, and E. Vitagliano, 2303.14107

2023: YG, E. Vitagliano, 2306.17841



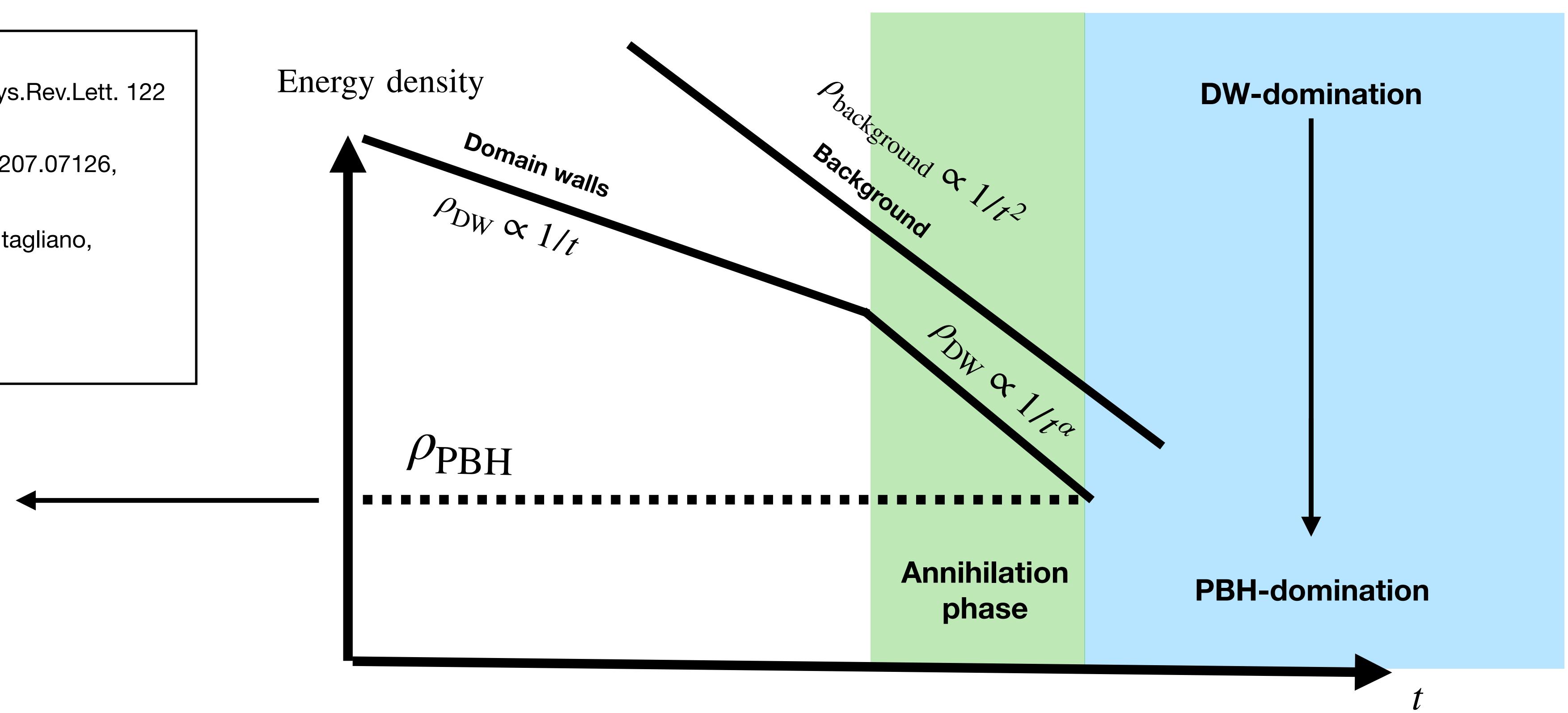
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Assumption: $R(t) \simeq t$



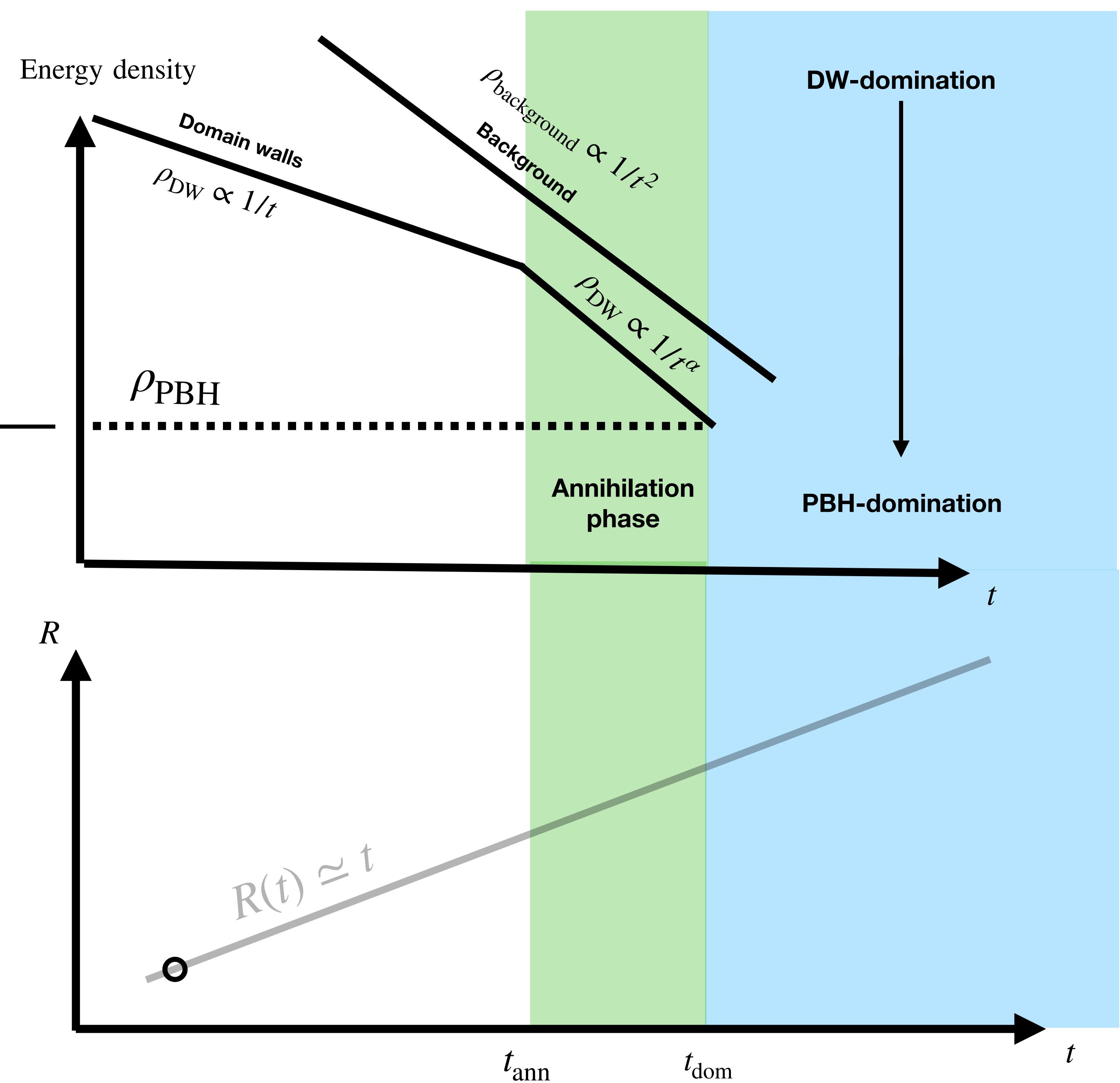
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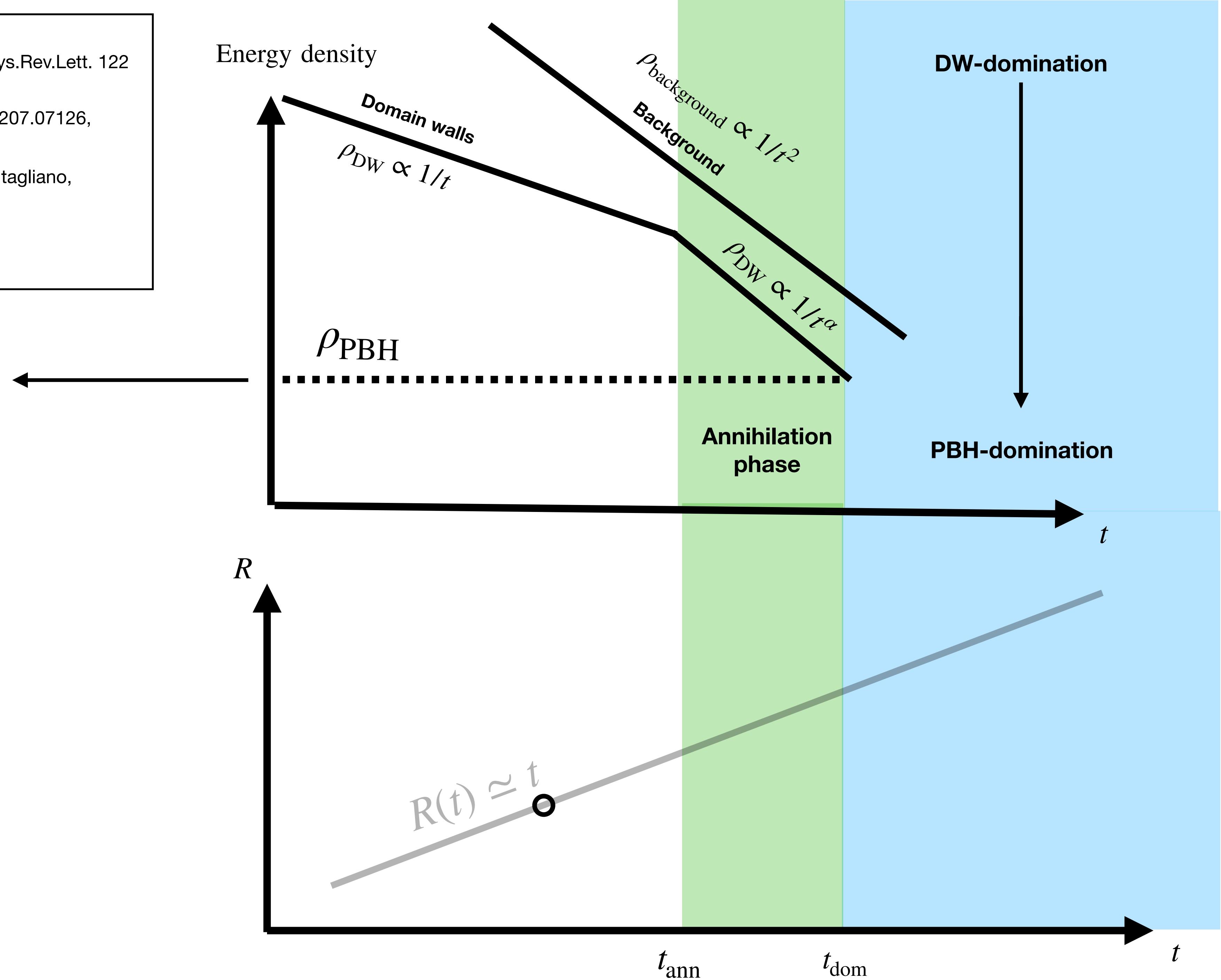
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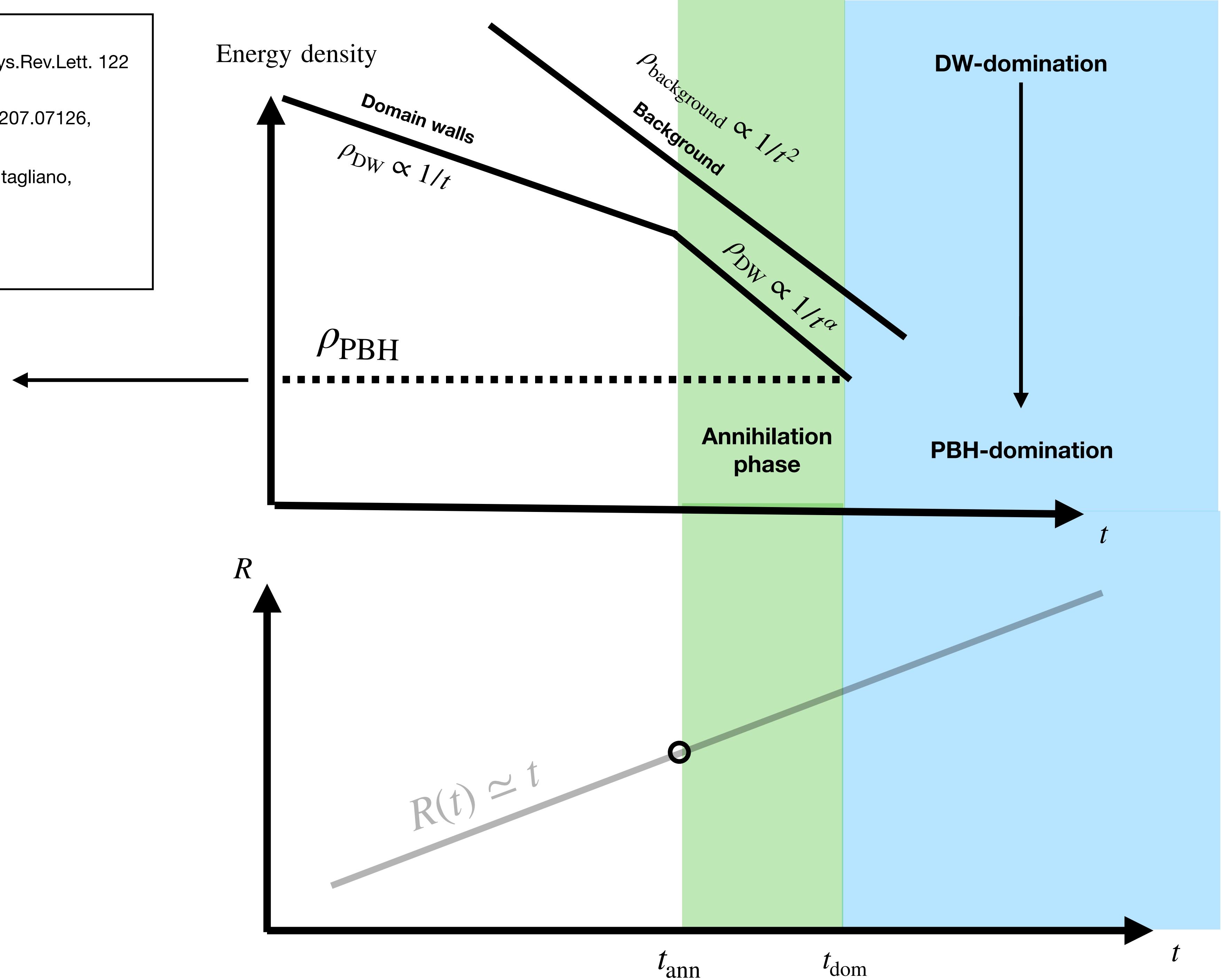
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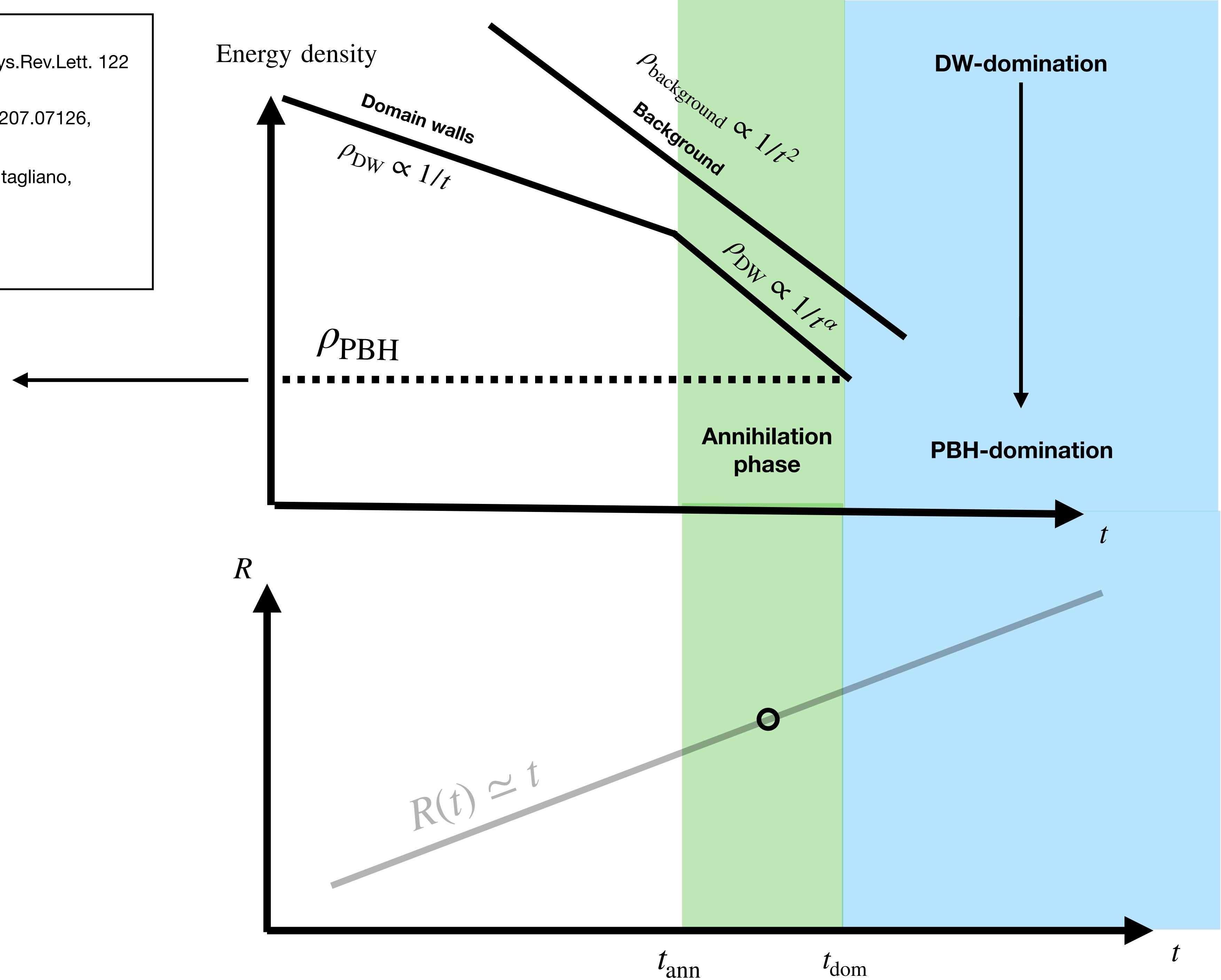
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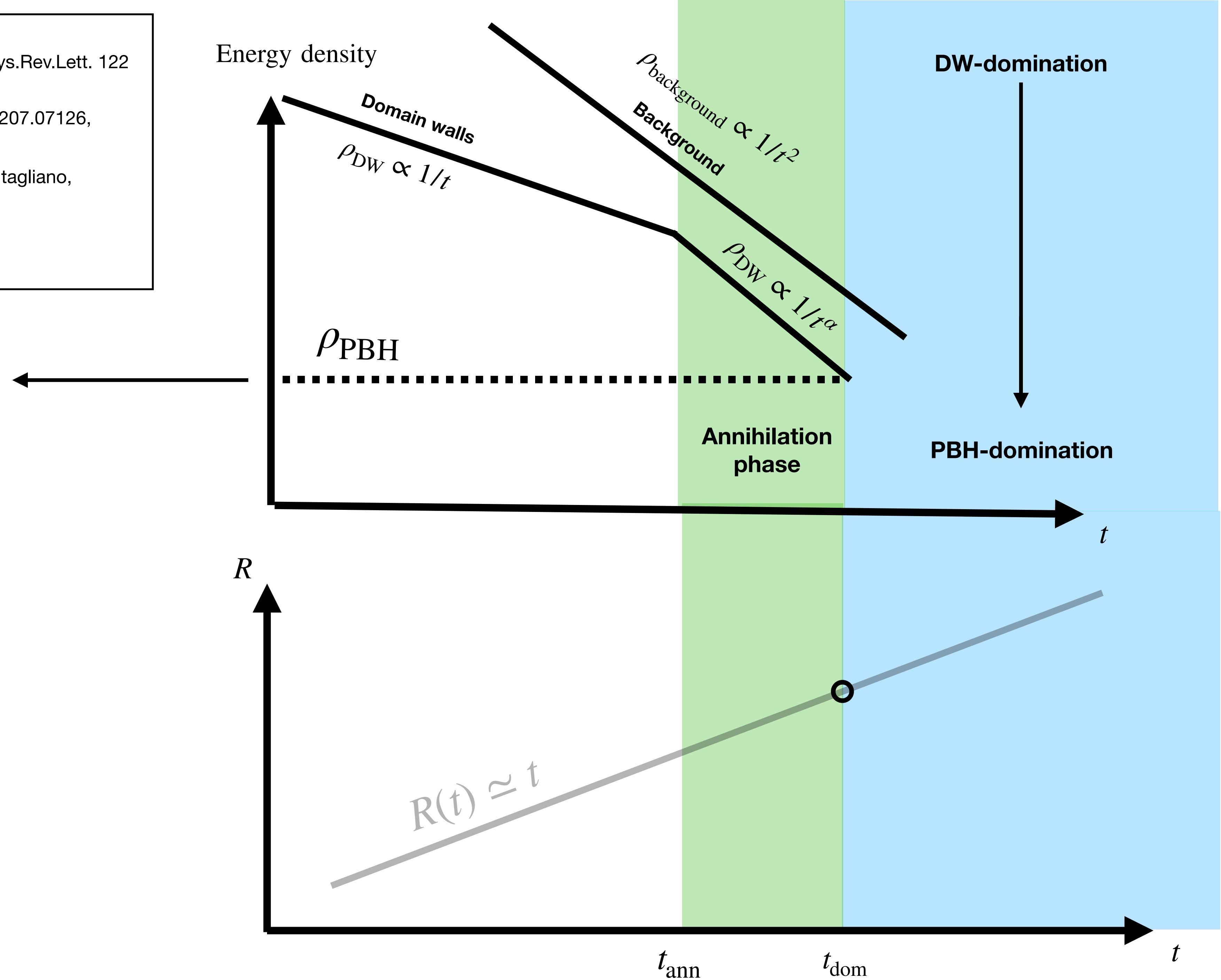
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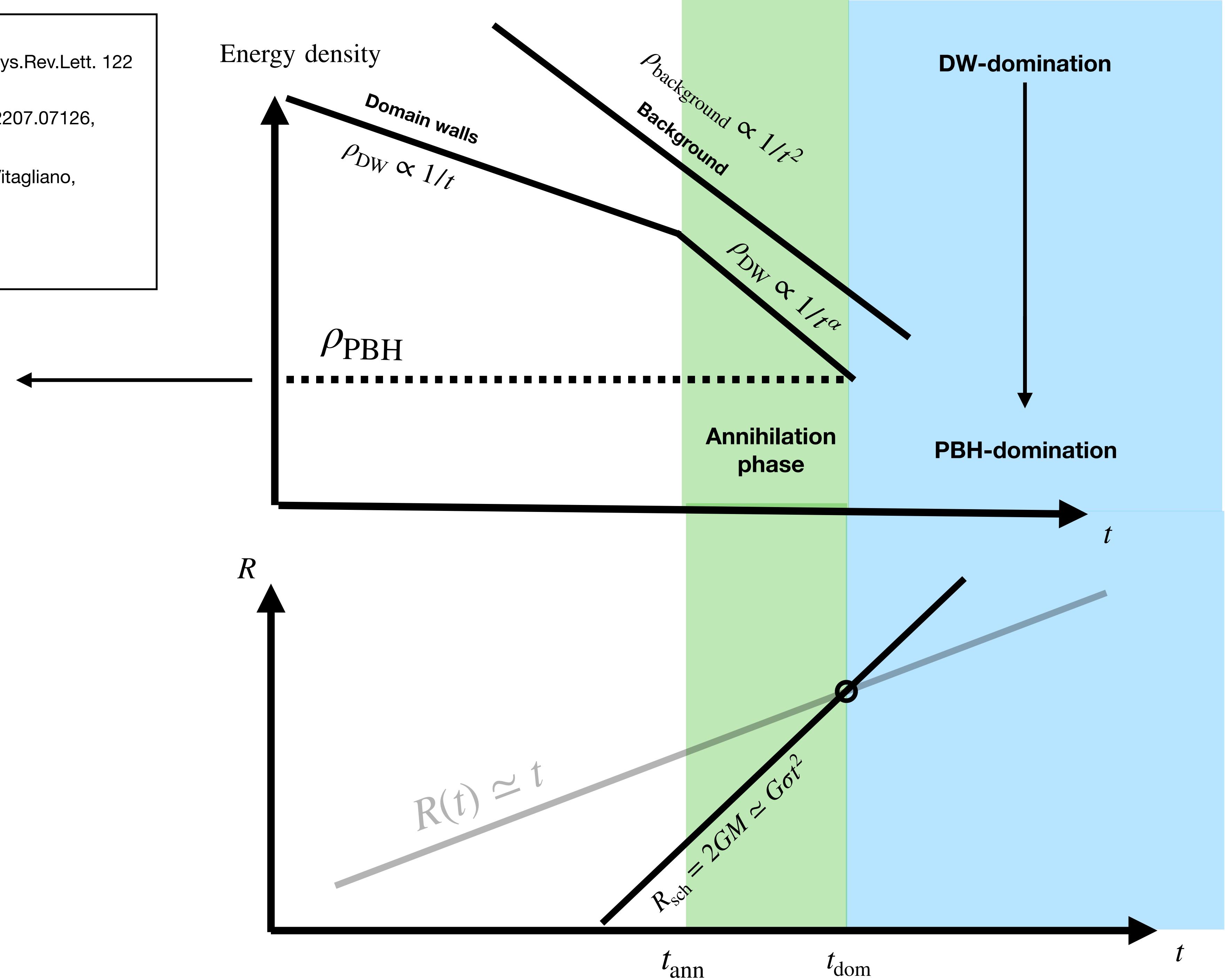
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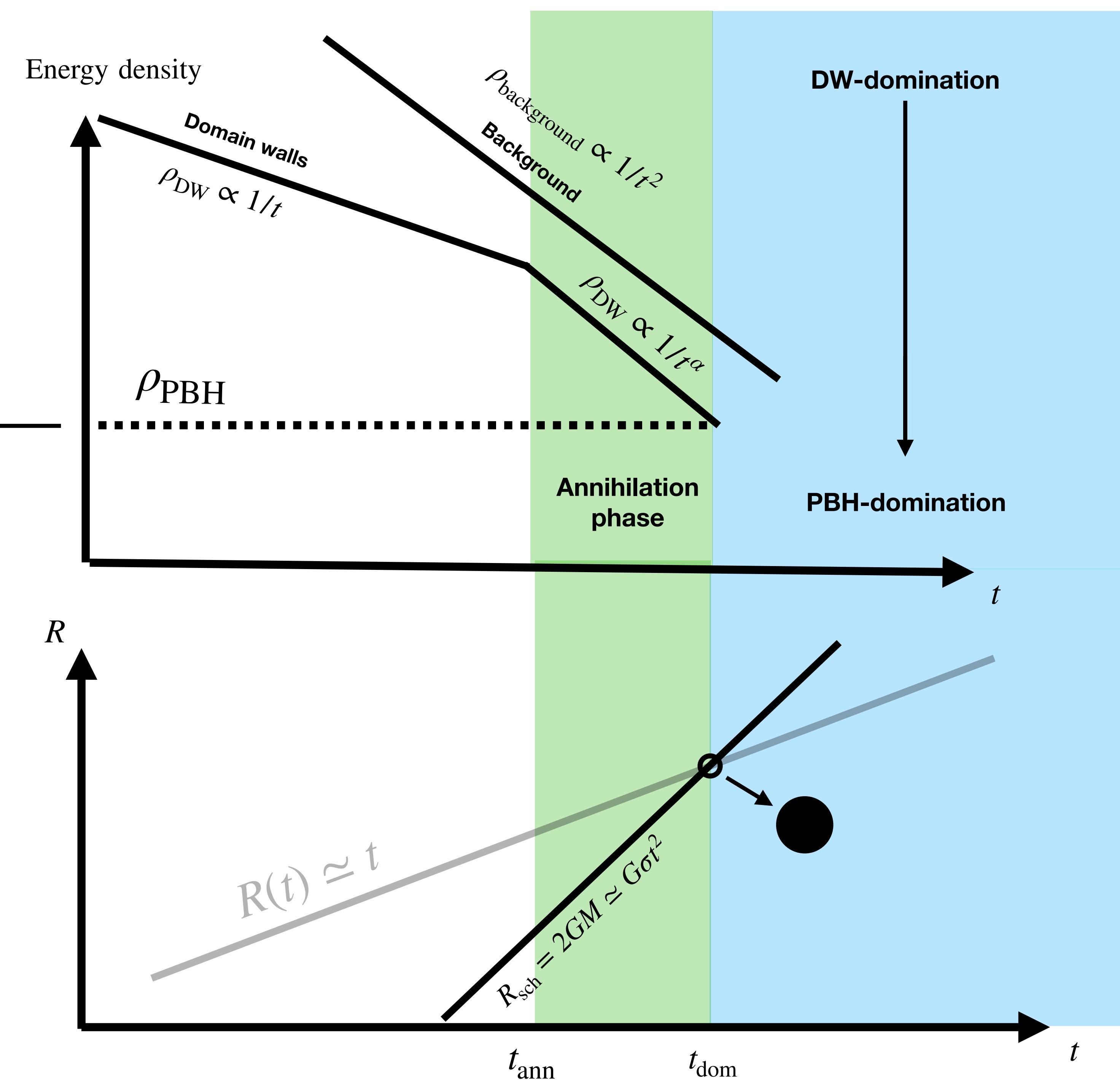
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2023: G. B. Gelmini, J. Hyman, A. Simpson, and E. Vitagliano, 2303.14107

2023: YG, E. Vitagliano, 2306.17841

Assumption: $R(t) \simeq t$



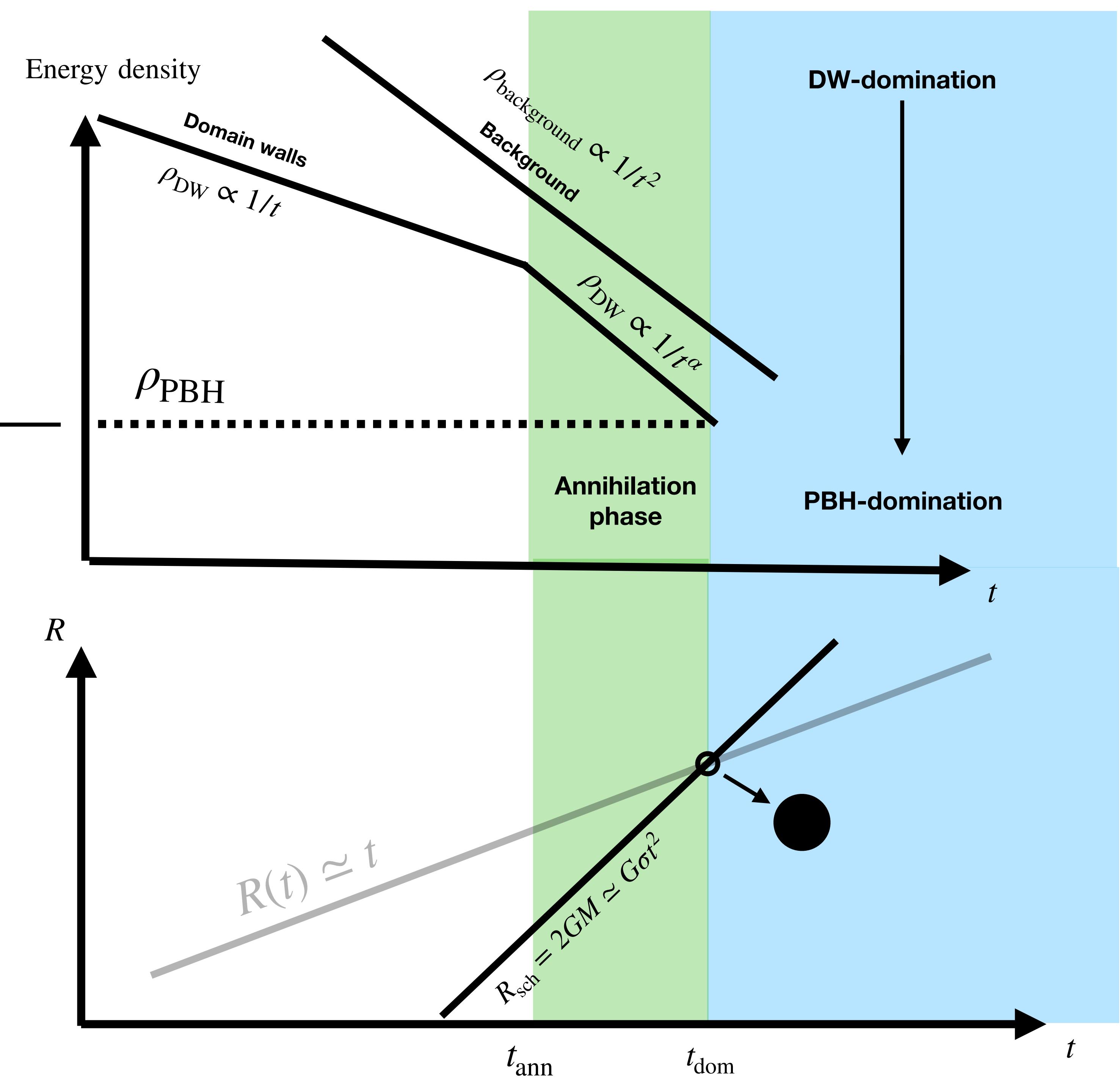
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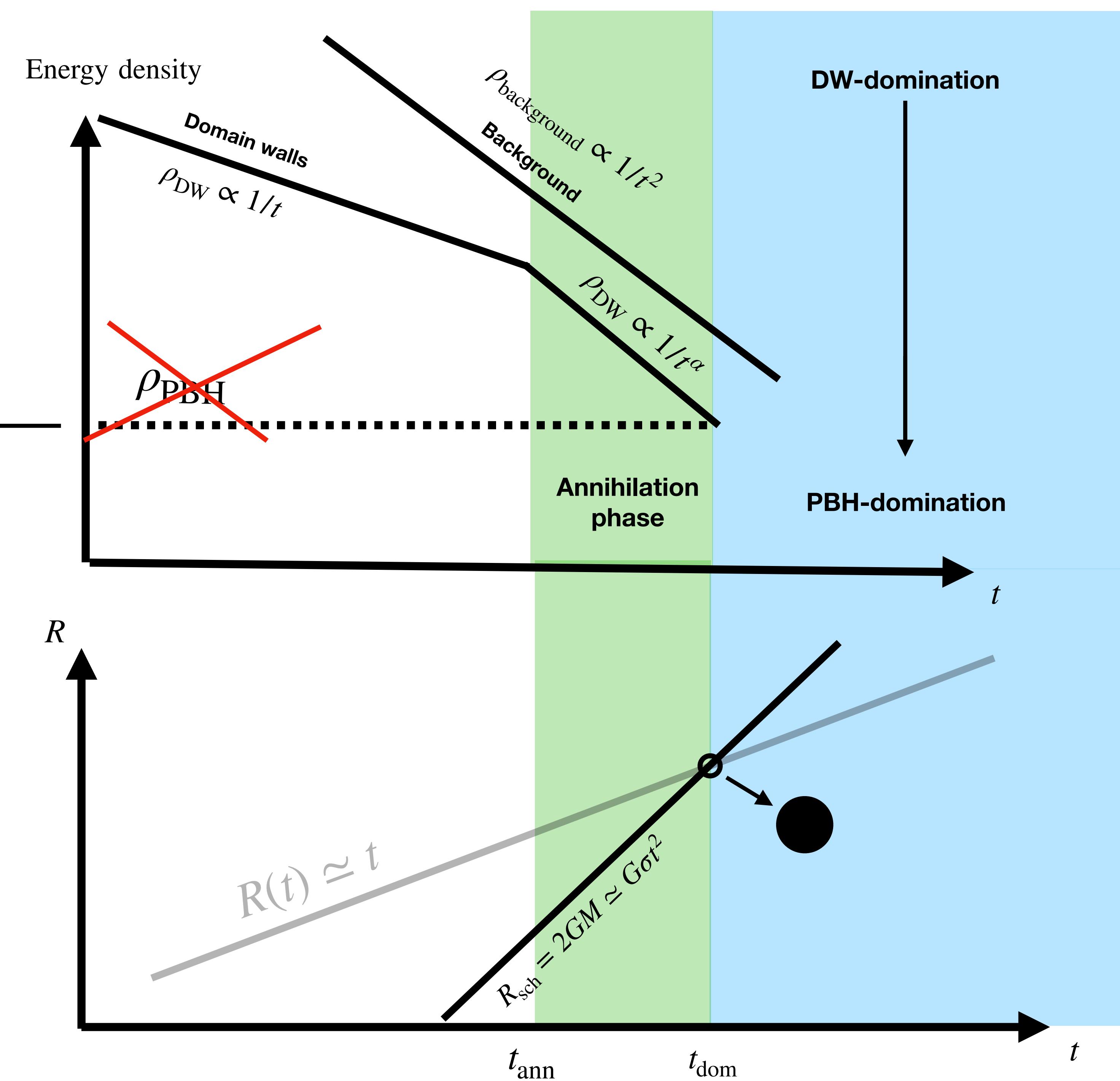
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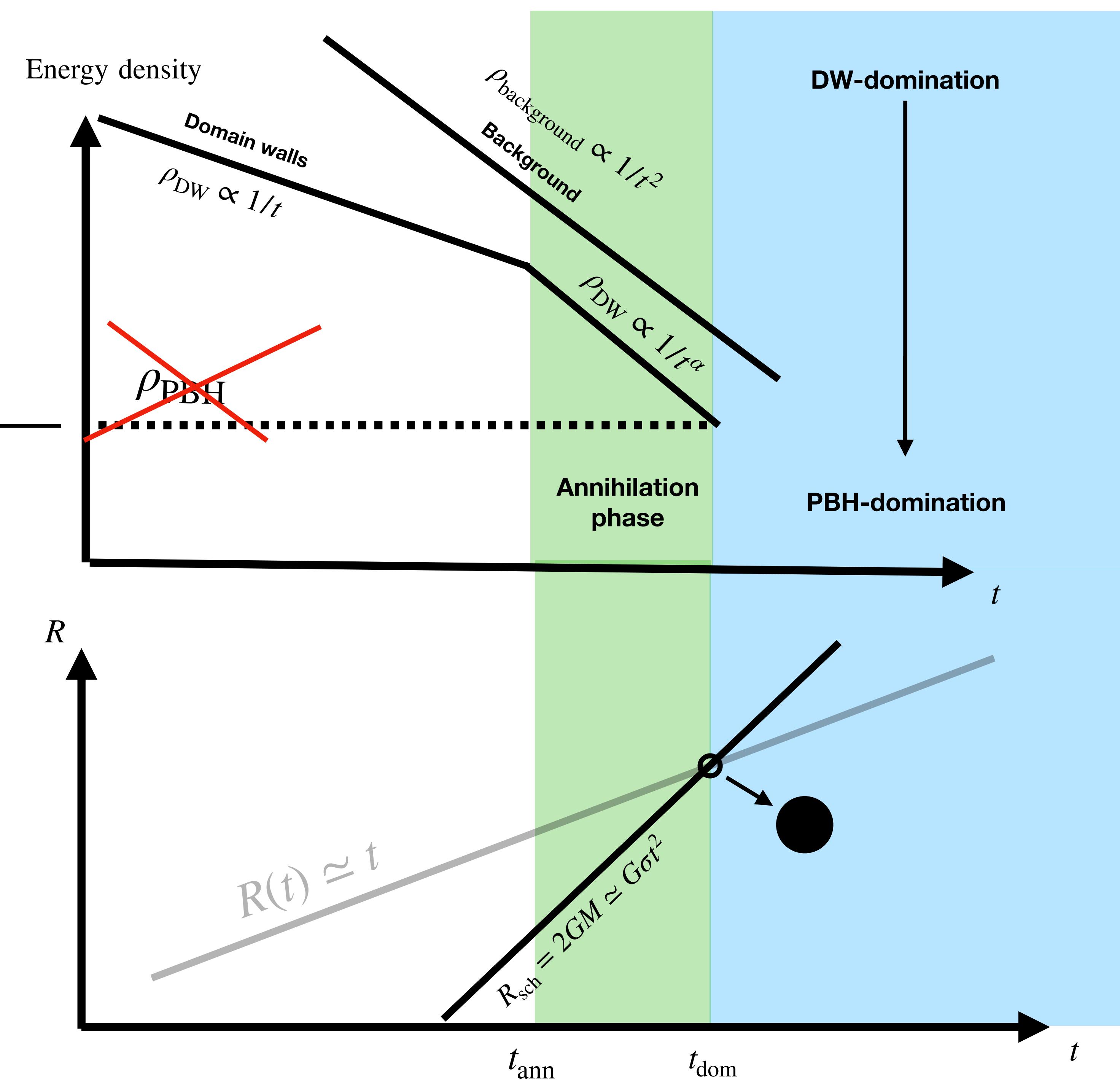
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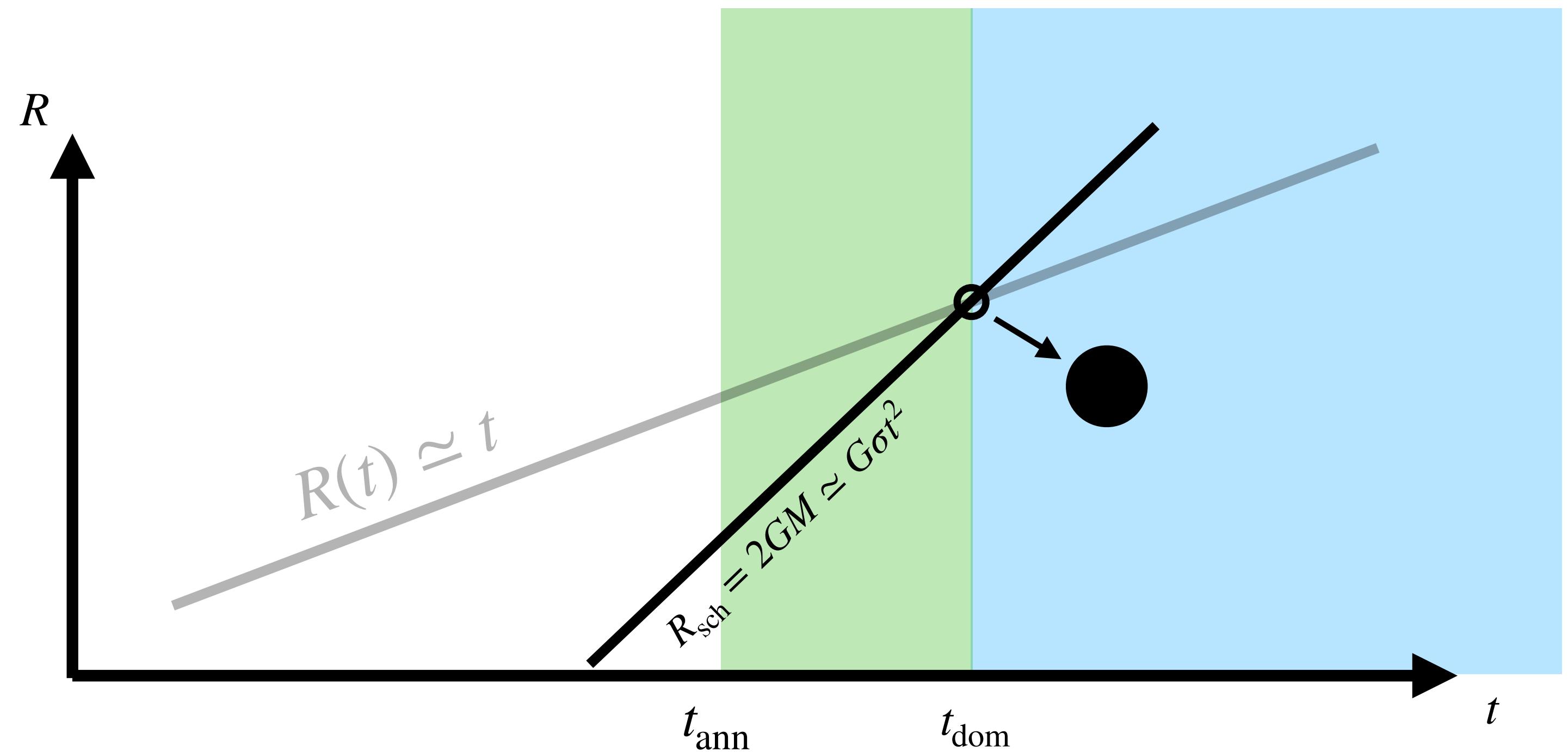


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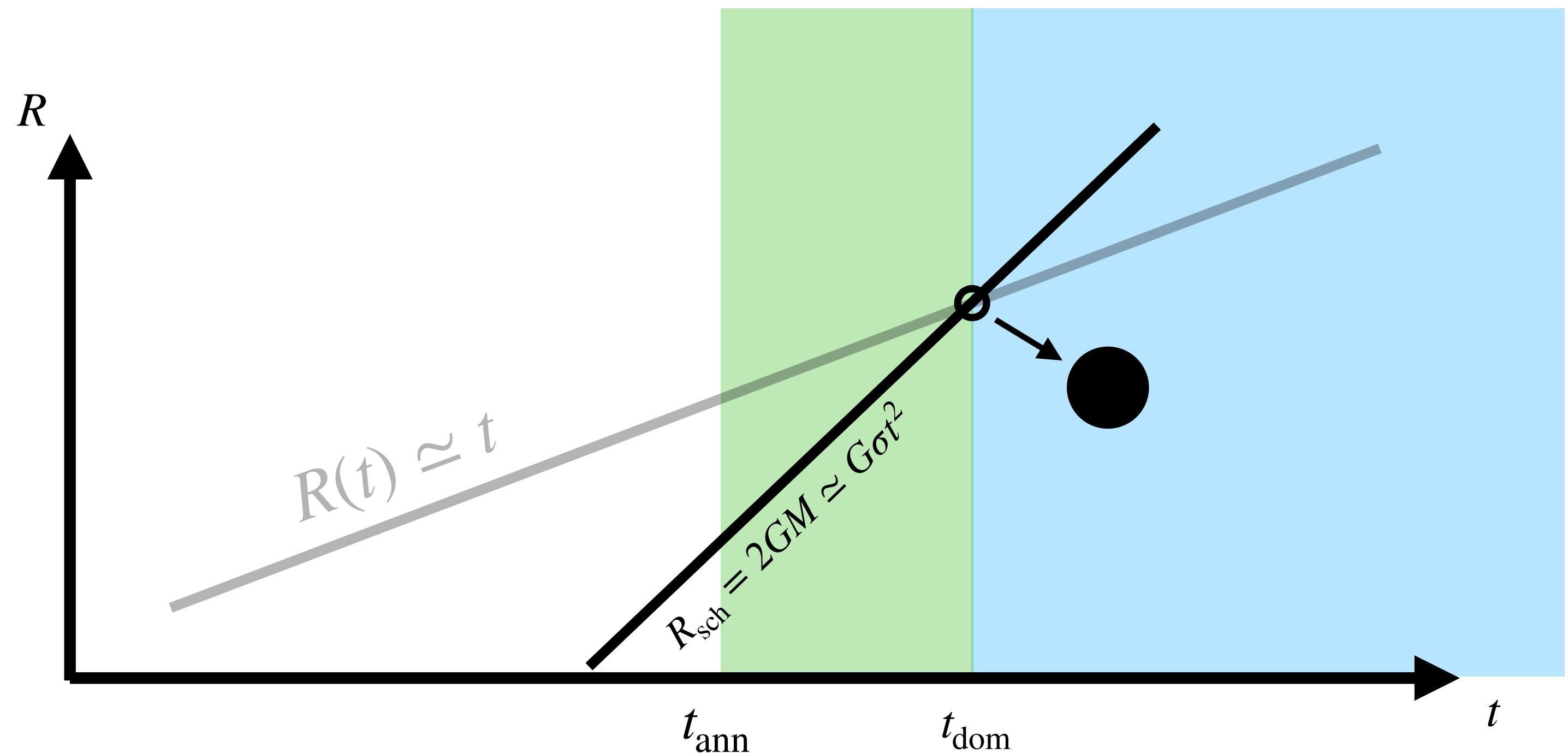


Assumption: $R(t) \simeq t$



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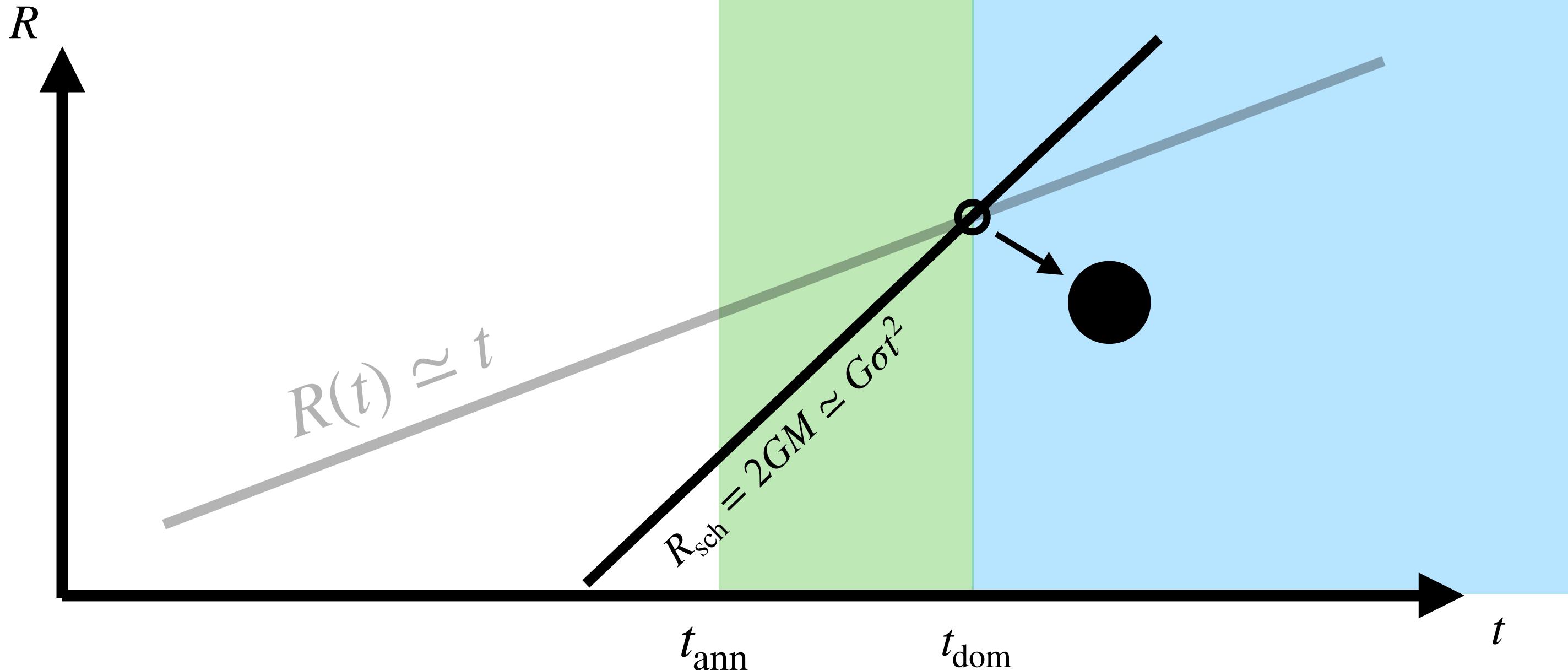


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$$R(t) = a(t)\chi(t)$$

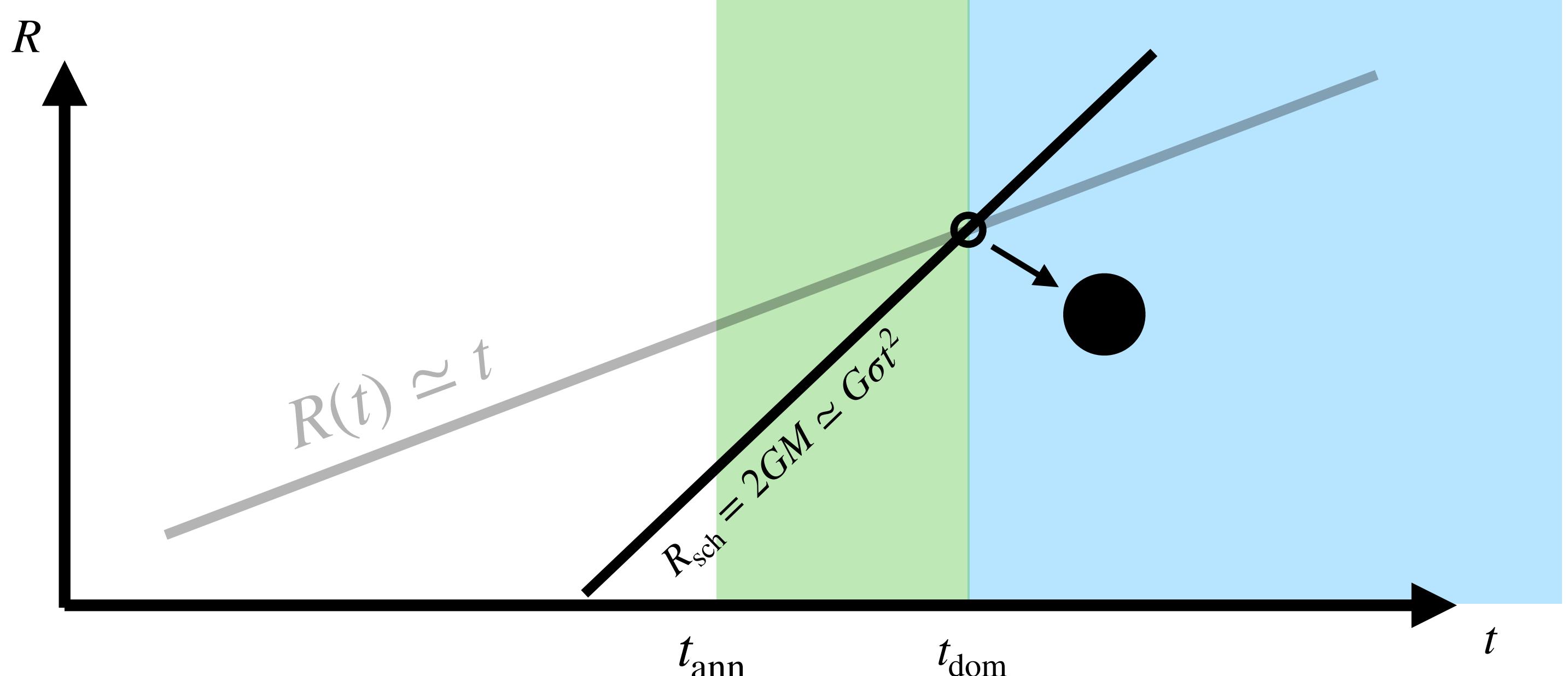
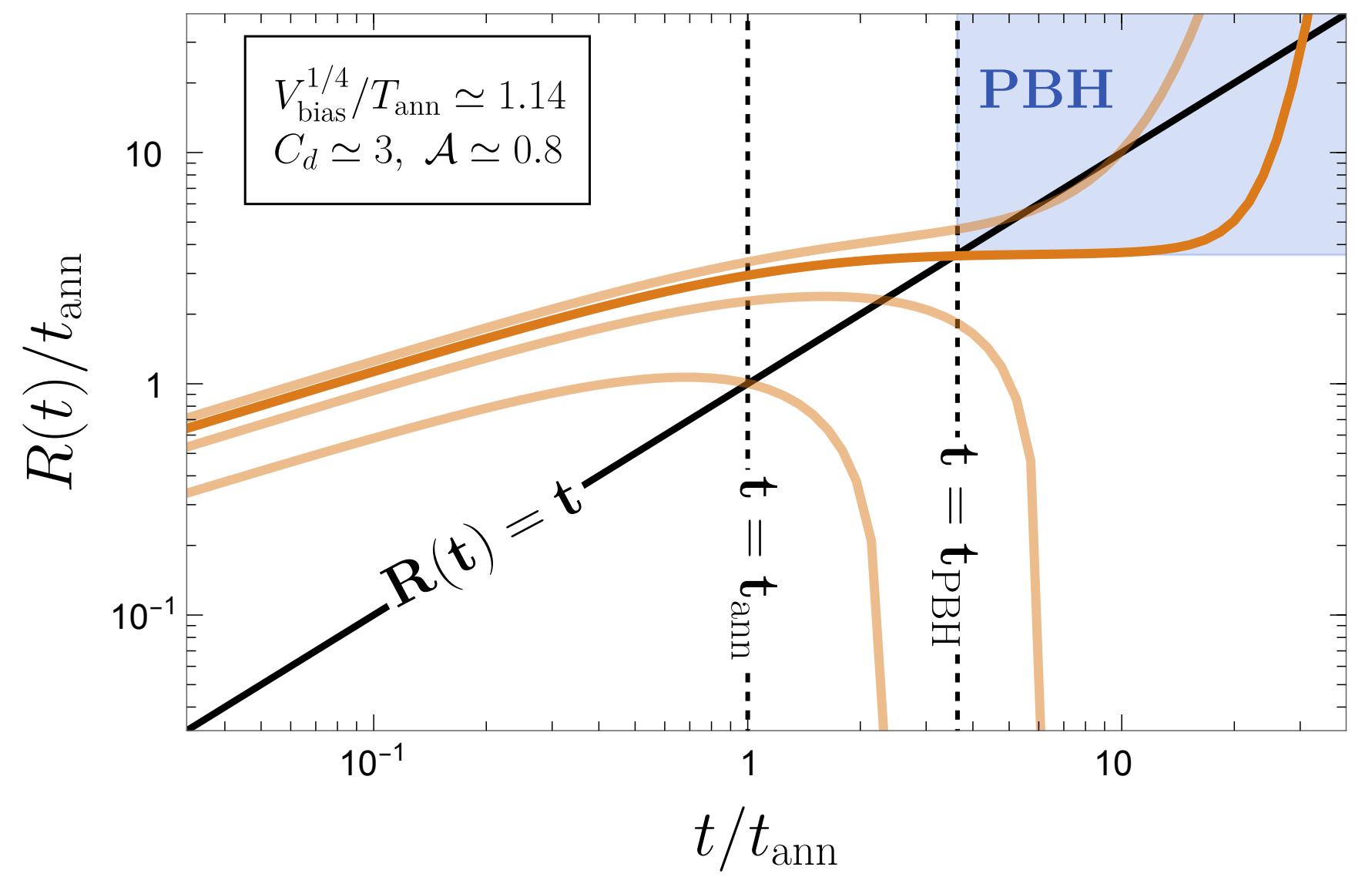


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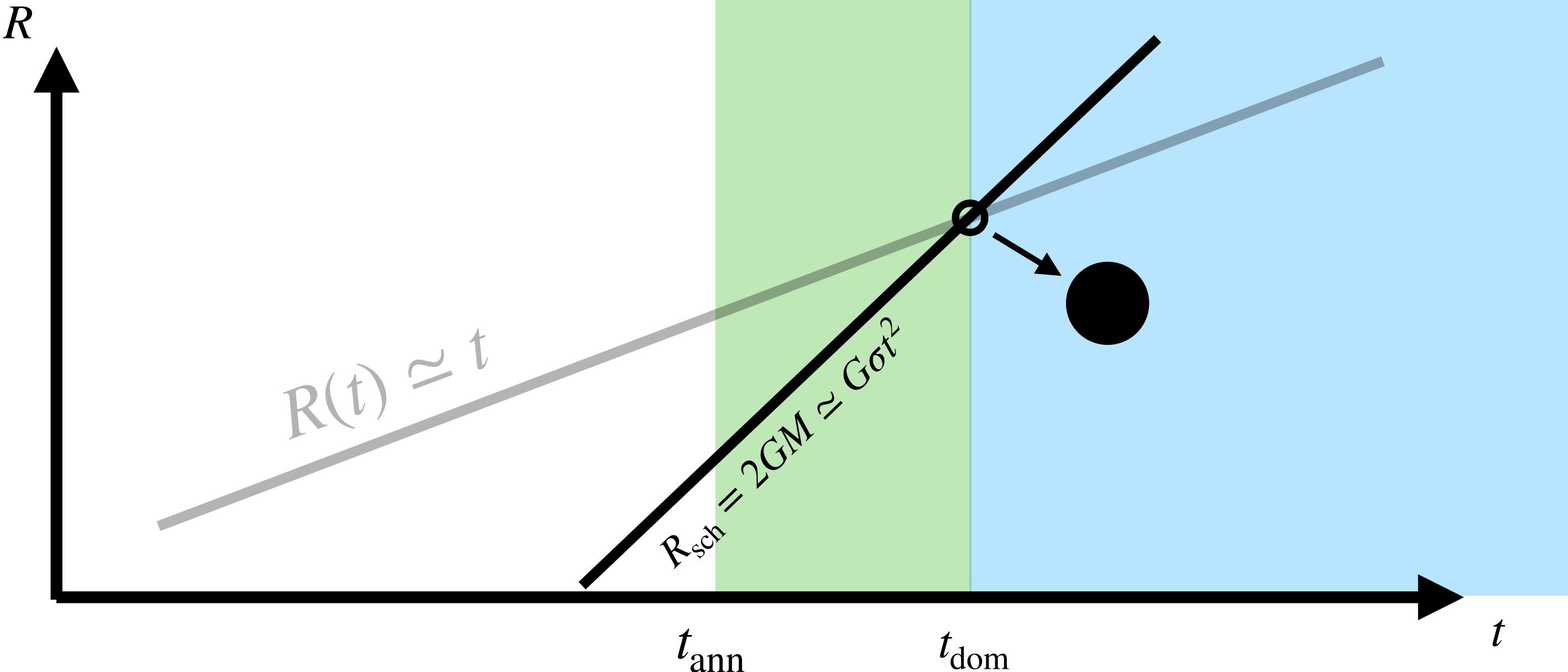
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$$R(t) = a(t)\chi(t)$$

Result:

$$R(t) \propto \begin{cases} a(t), & \text{if } R > t, \\ e^{-\Gamma t}, & \text{if } R < t. \end{cases}$$



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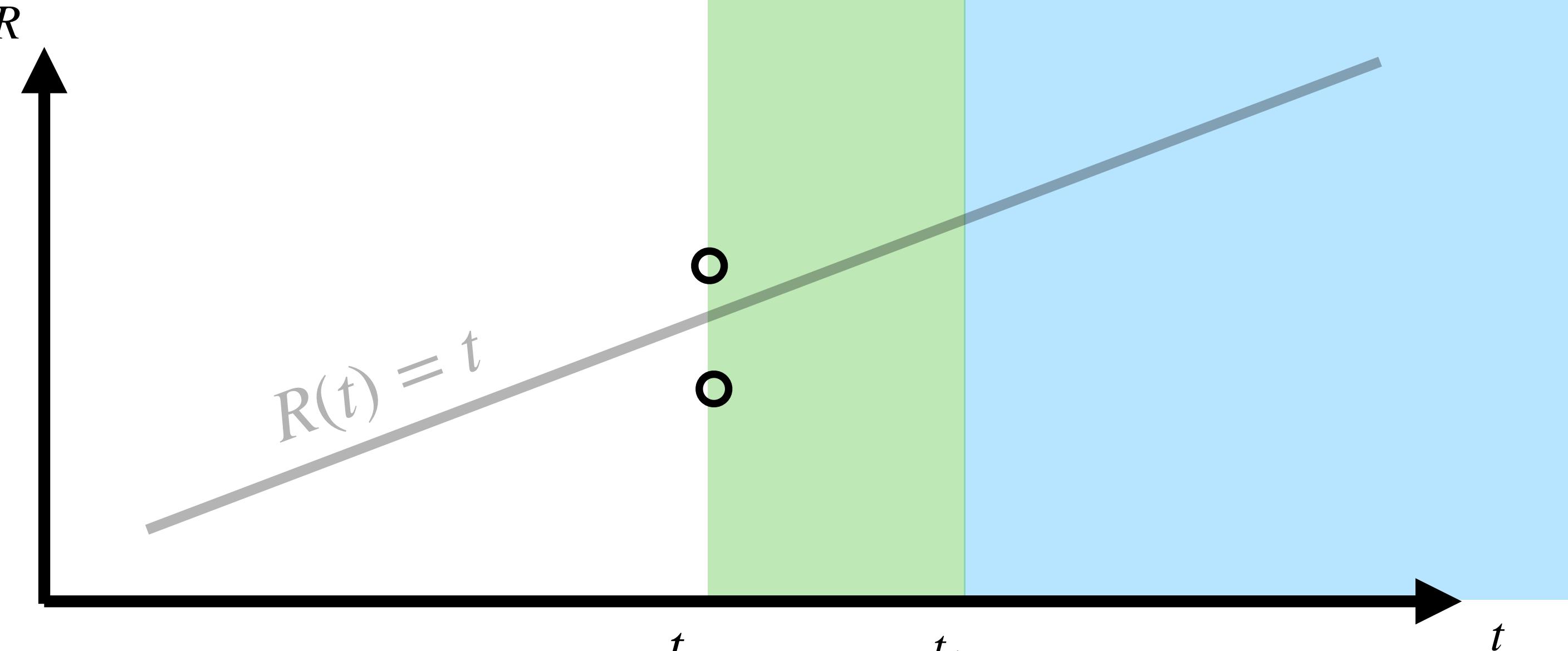
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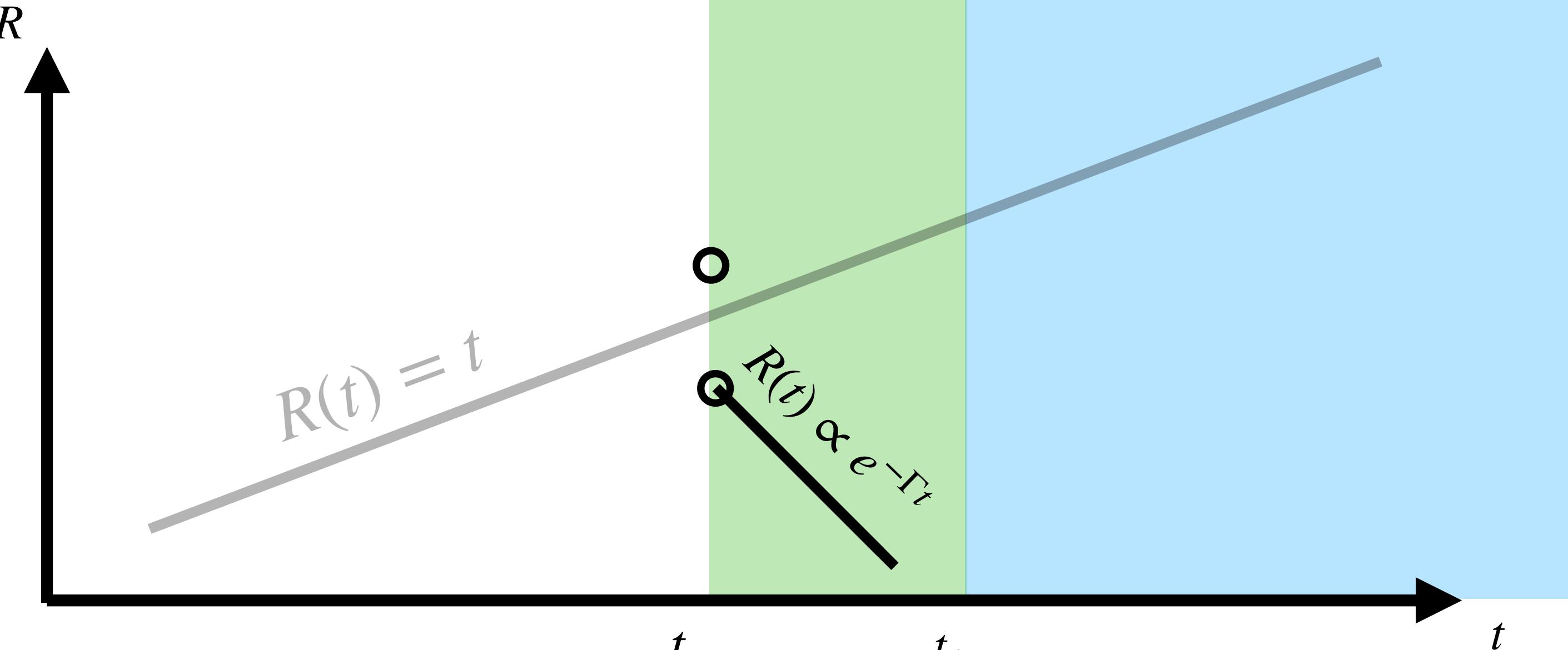
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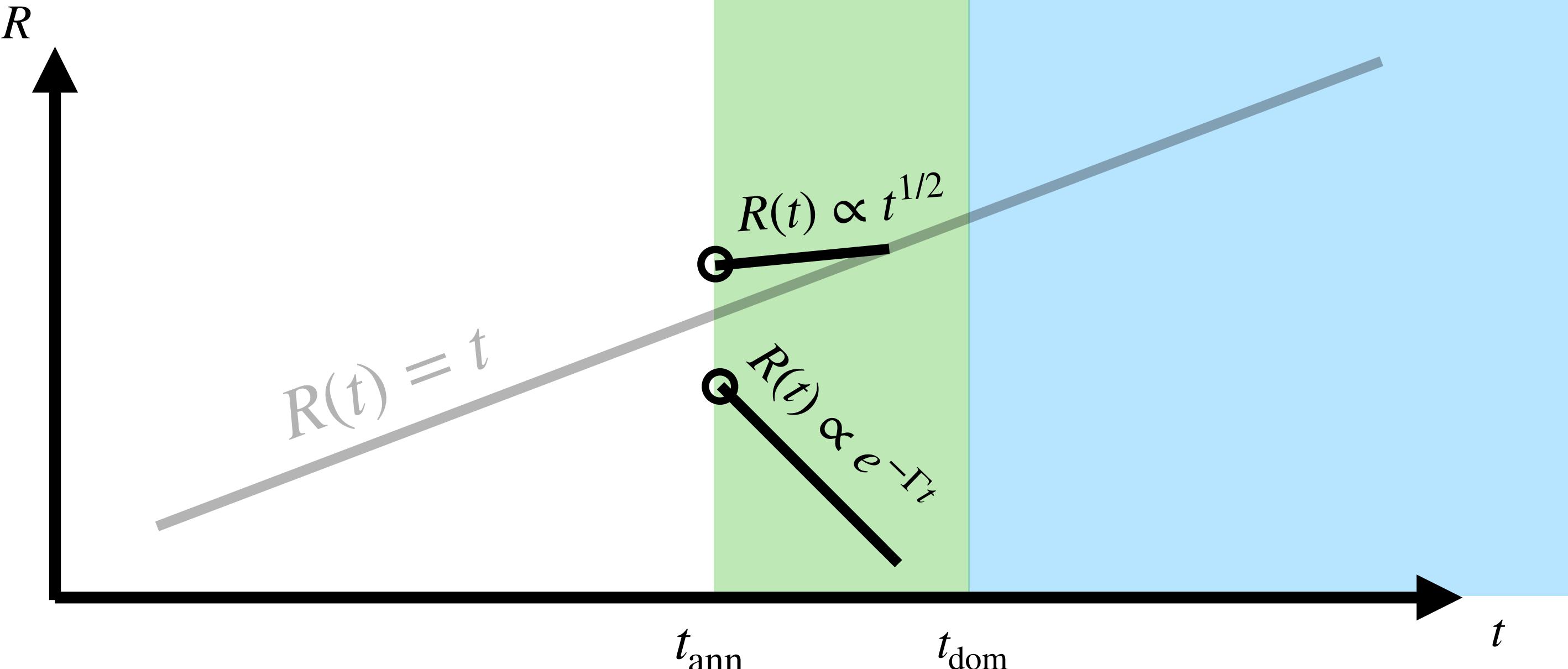
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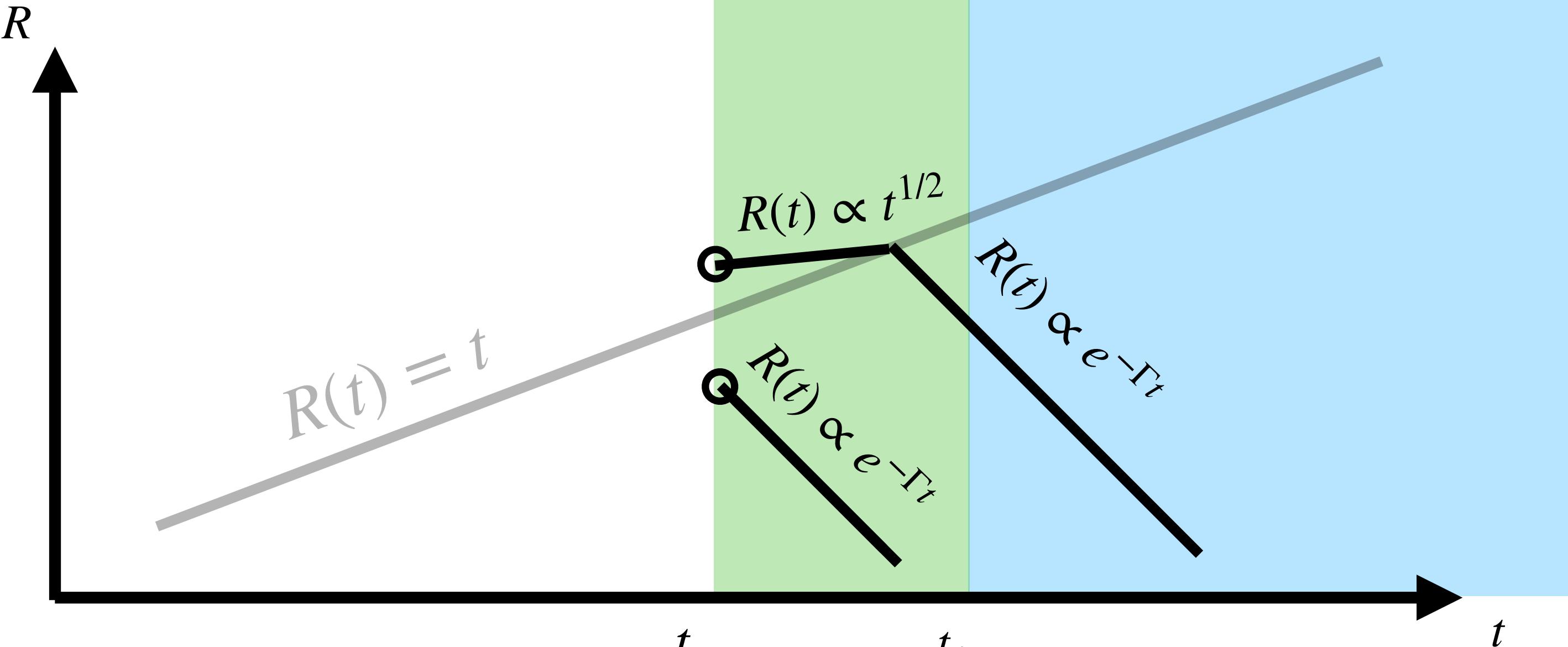
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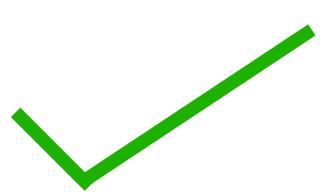
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Scaling regime: $\langle R(t) \rangle \simeq t$



Assumption: $R(t) \simeq t$



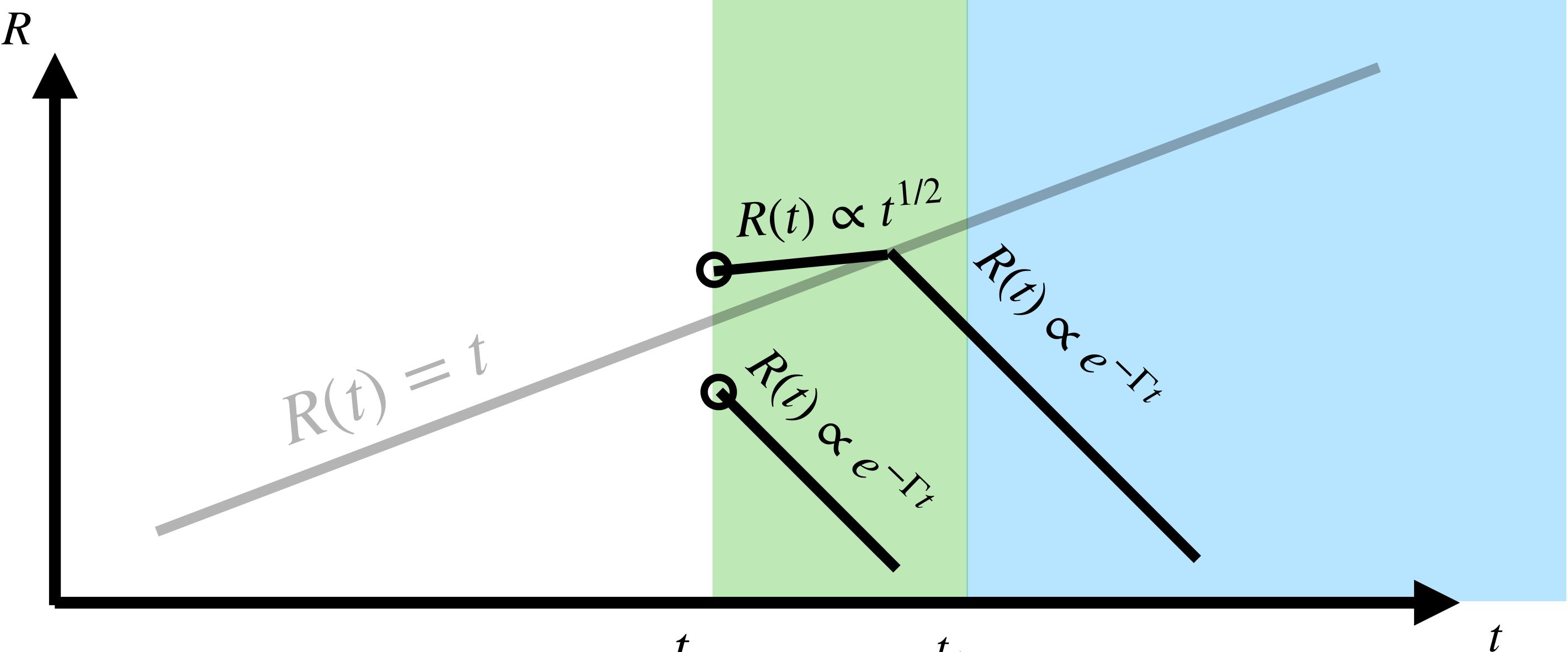
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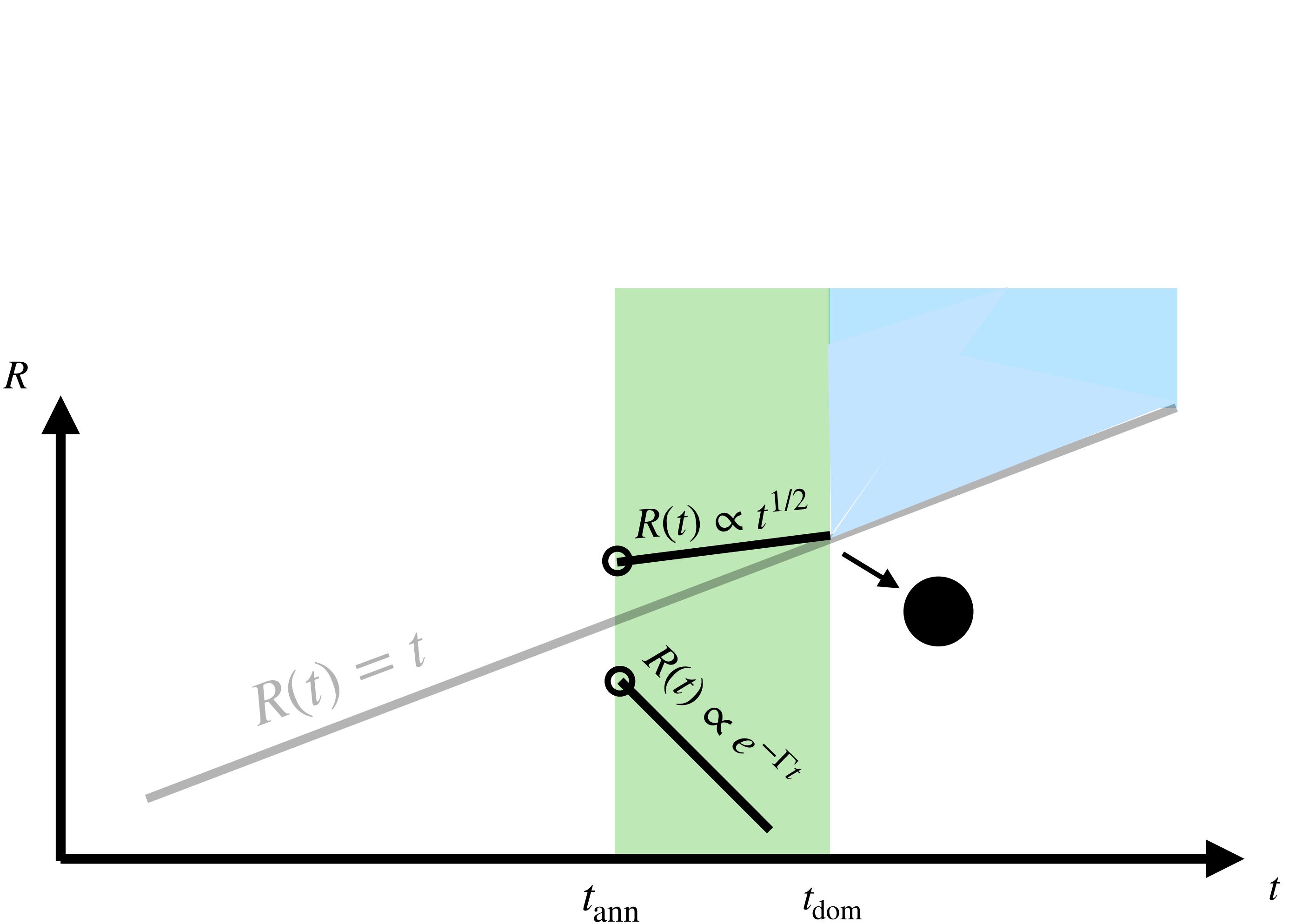
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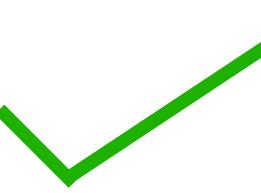
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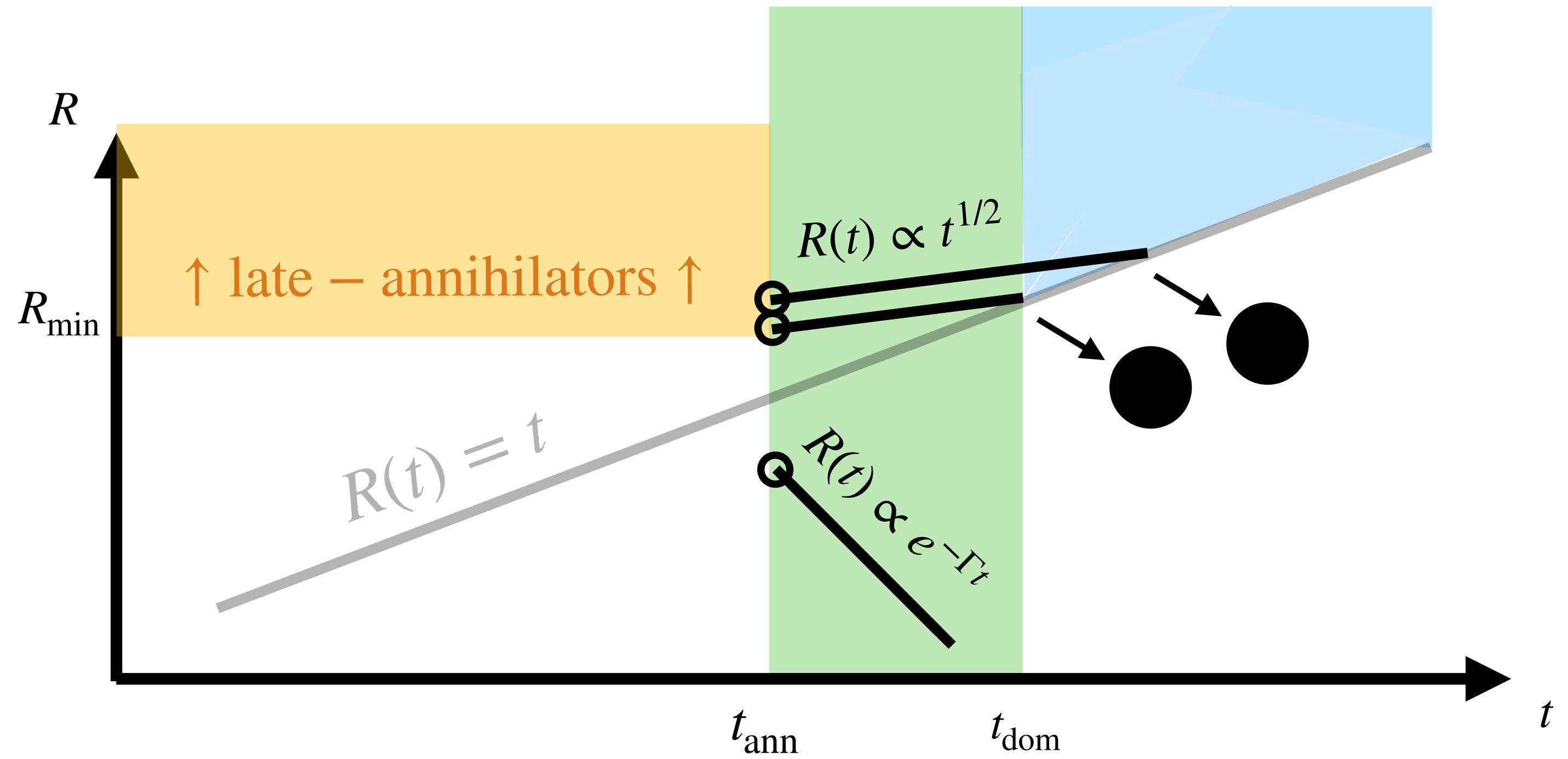
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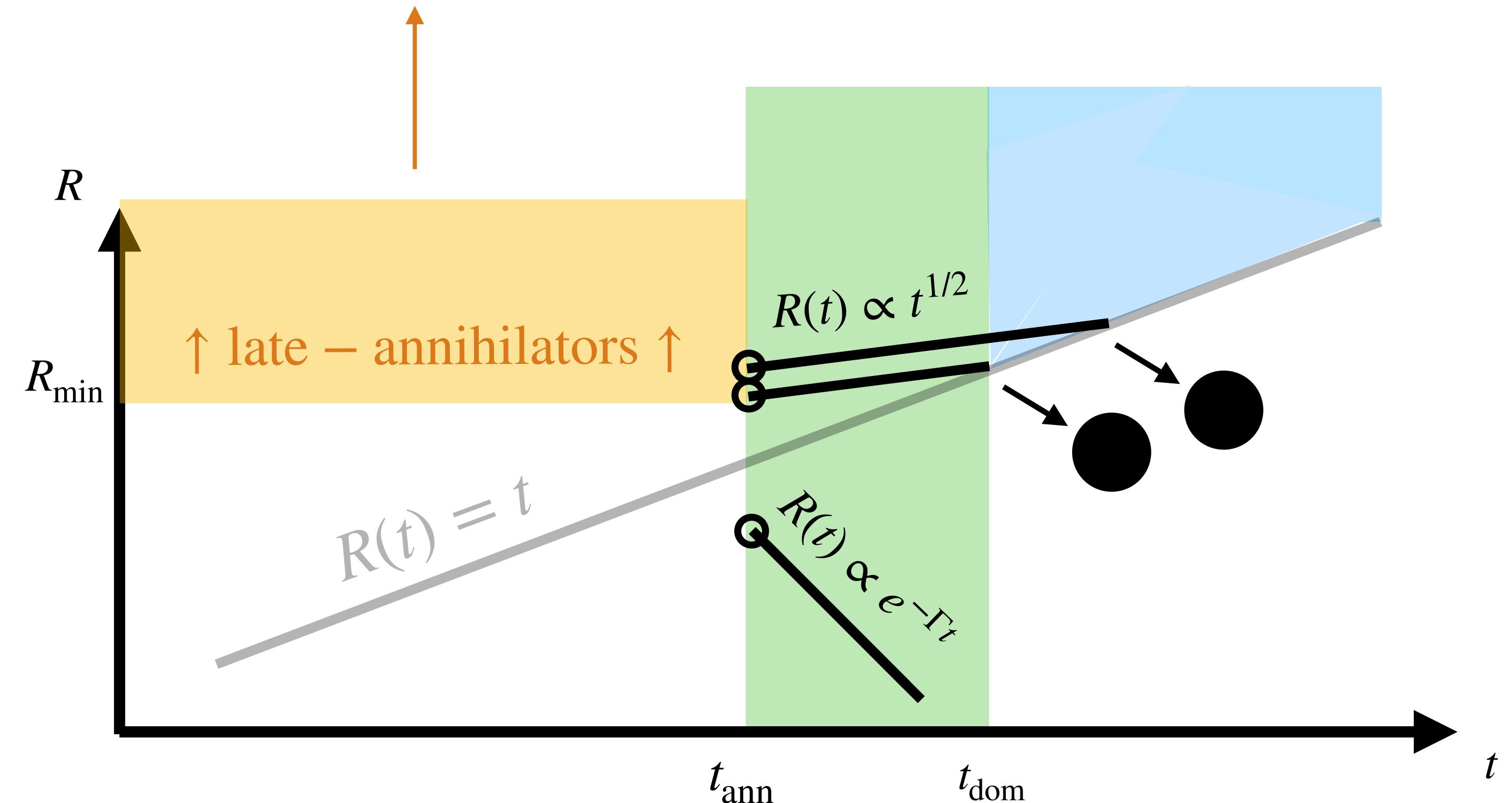
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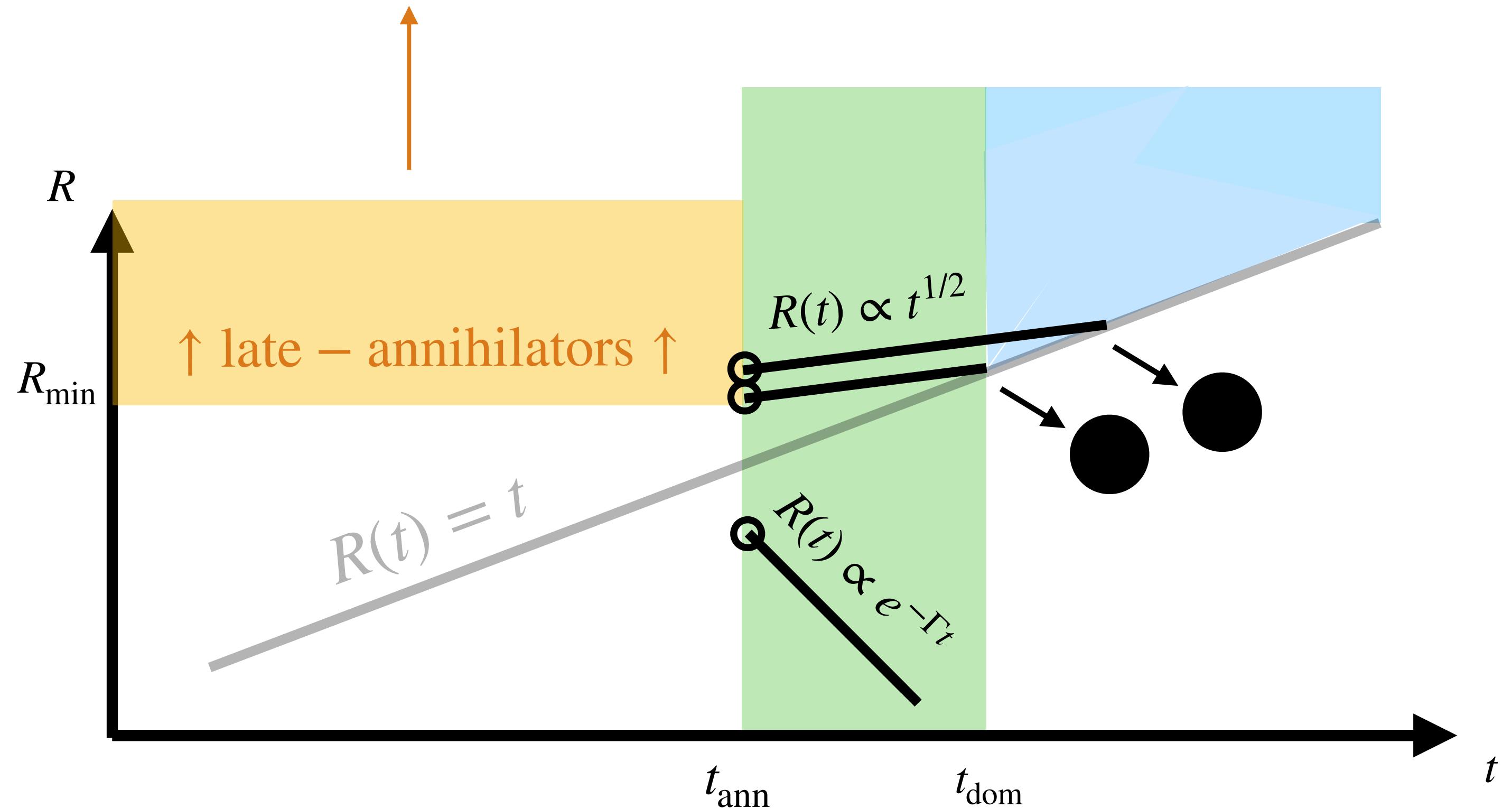
"Analogue of "late-bloomers" in first-order phase transition (YG, Volansky, 2305.04942)"



PBH abundance:

$$f_{\text{PBH}} \simeq \mathcal{F} \times \left(\frac{T_{\text{dom}}}{T_{\text{eq}}} \right)$$

*"Analogue of "late-bloomers" in
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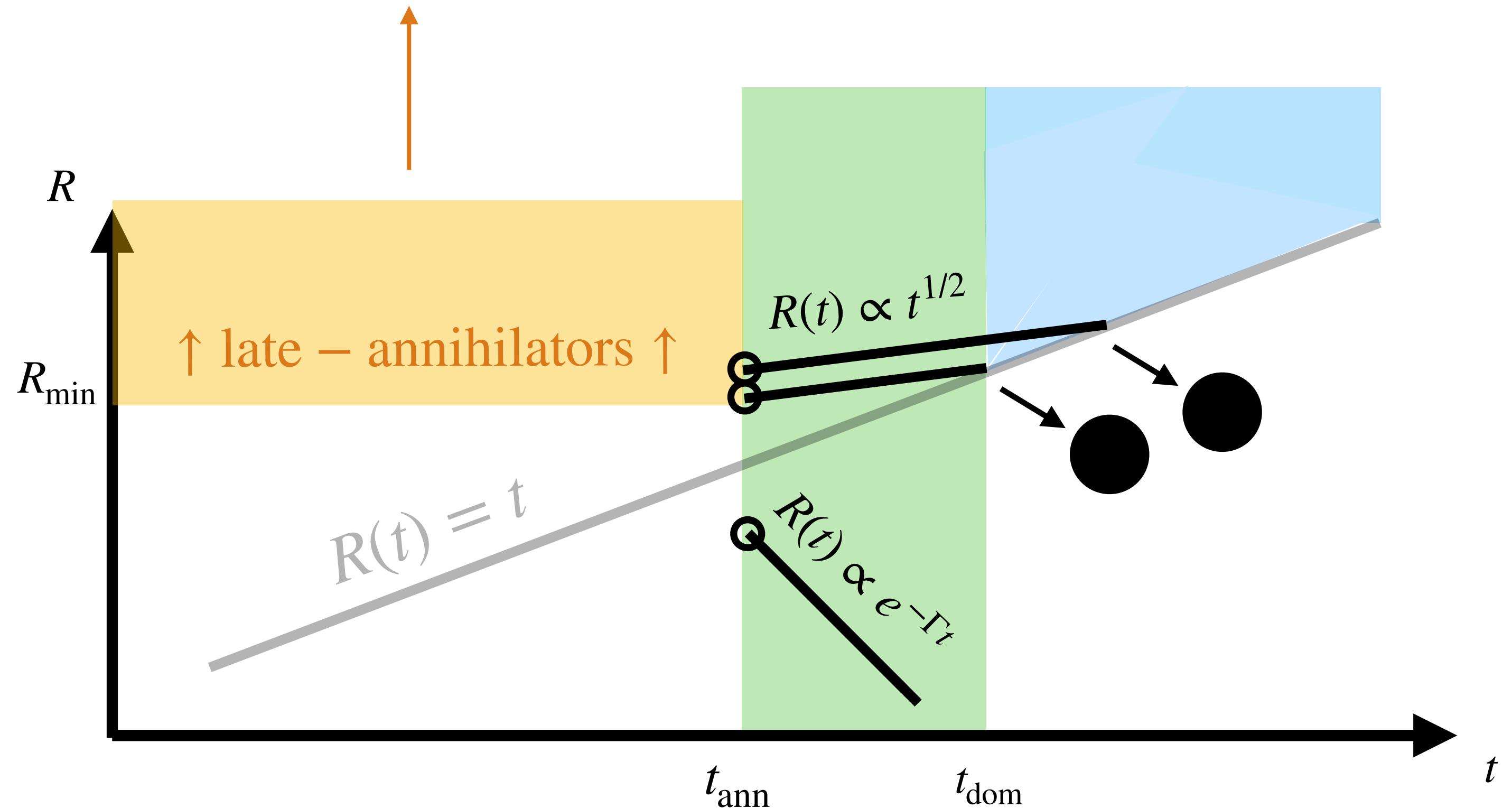


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Redshift factor

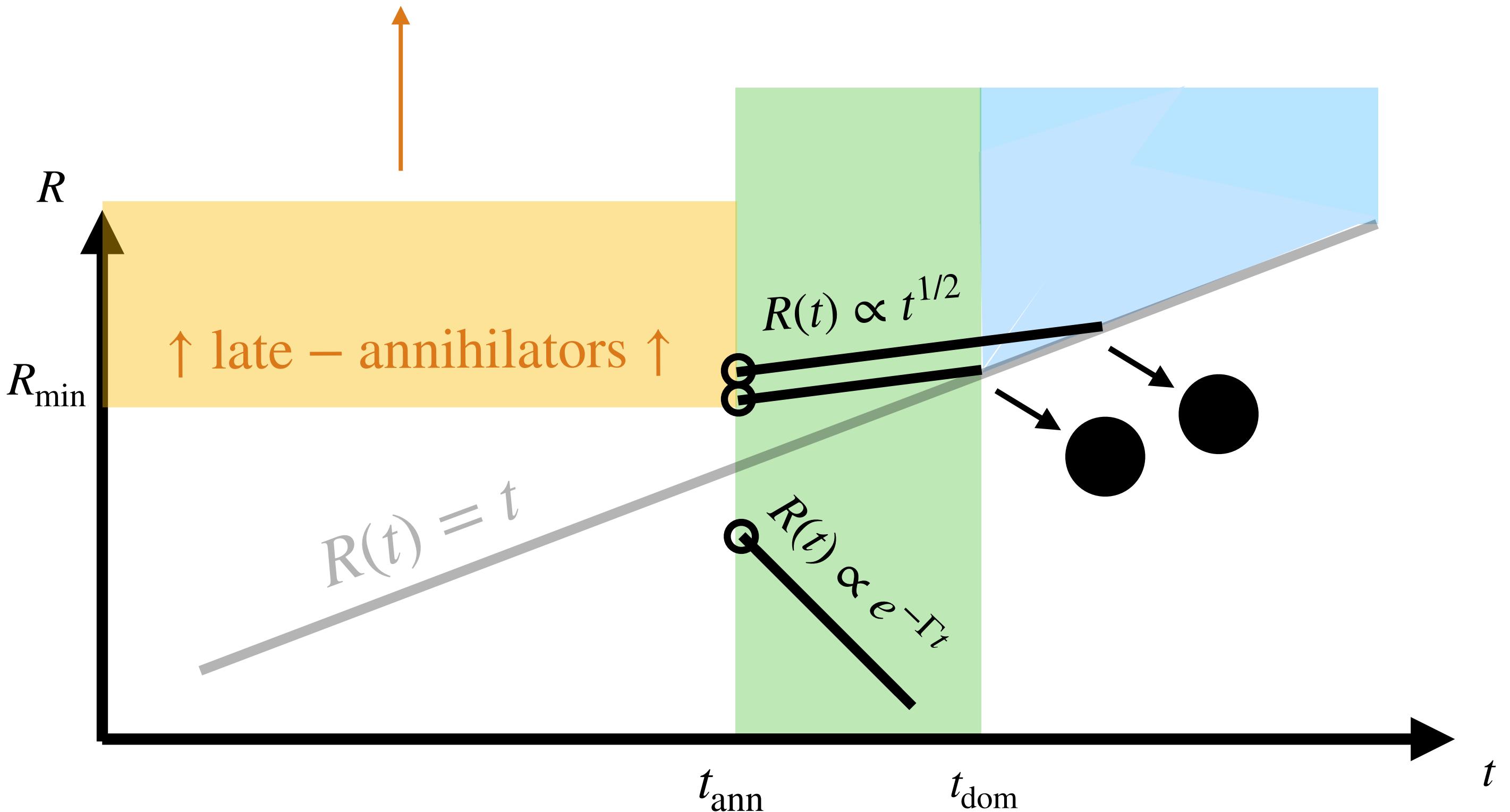


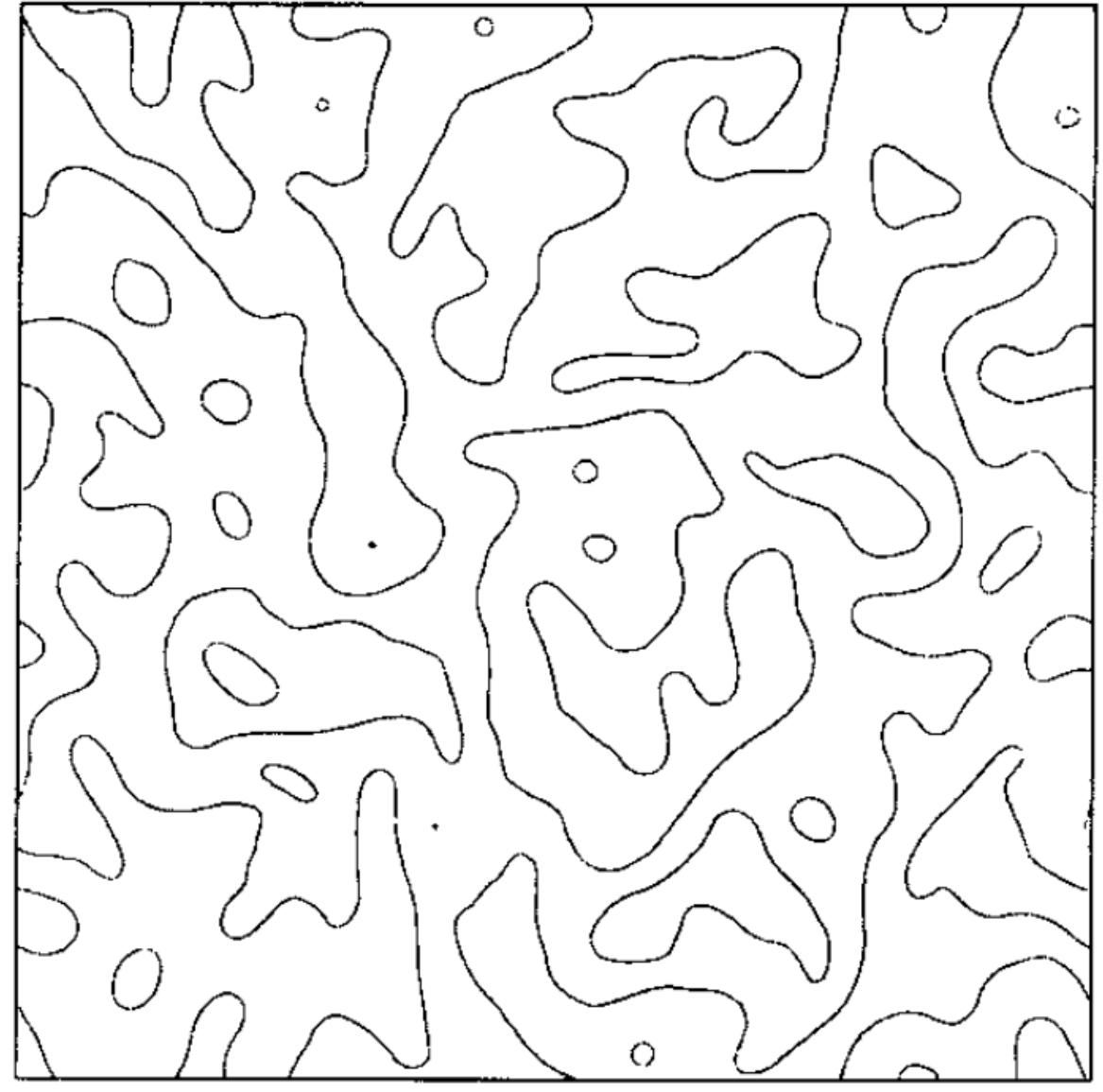
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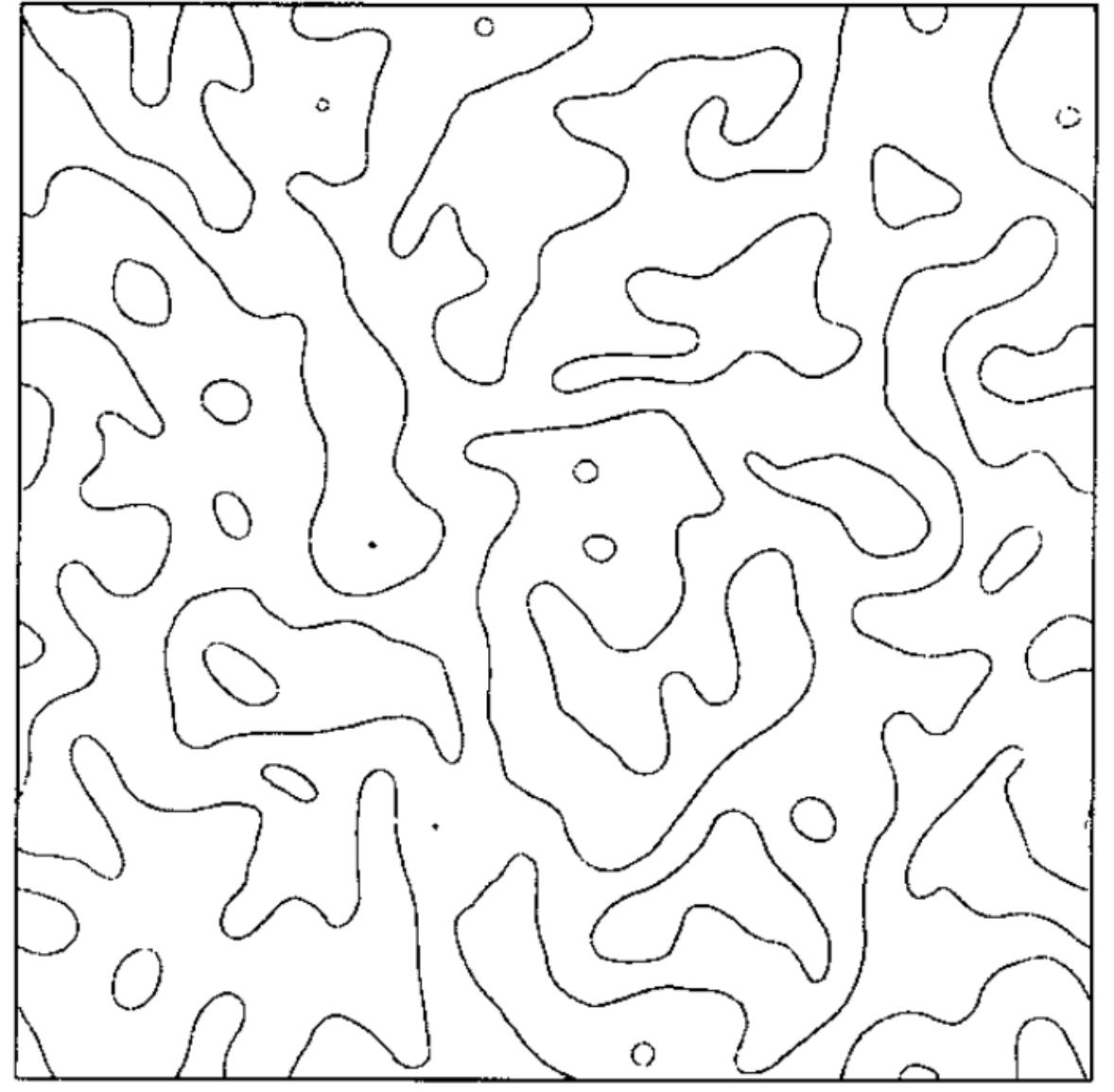
↑ Late-annihilators fraction Redshift factor





Vilenkin&Shellard 2000

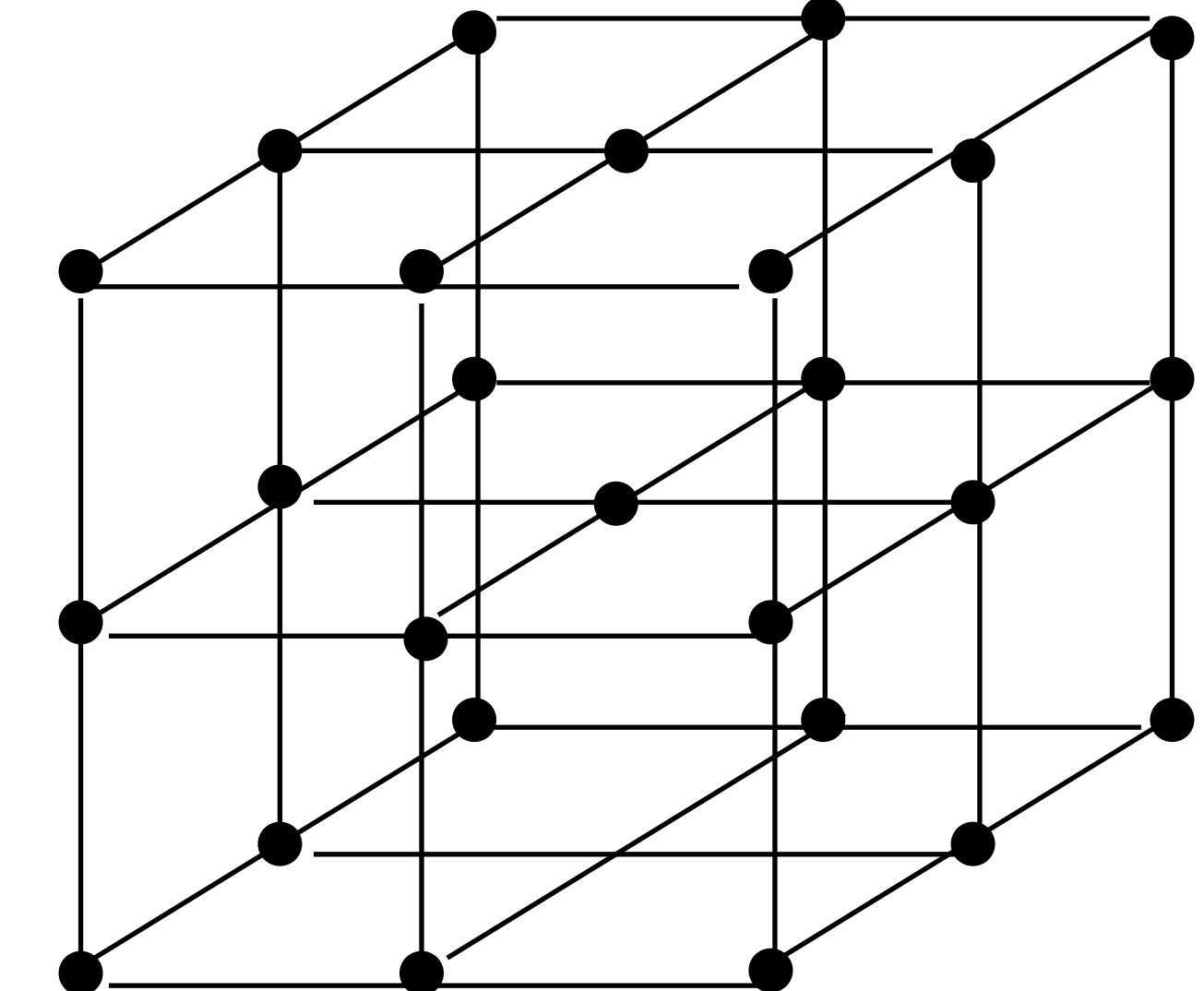
Abundance of late-annihilators \mathcal{F}

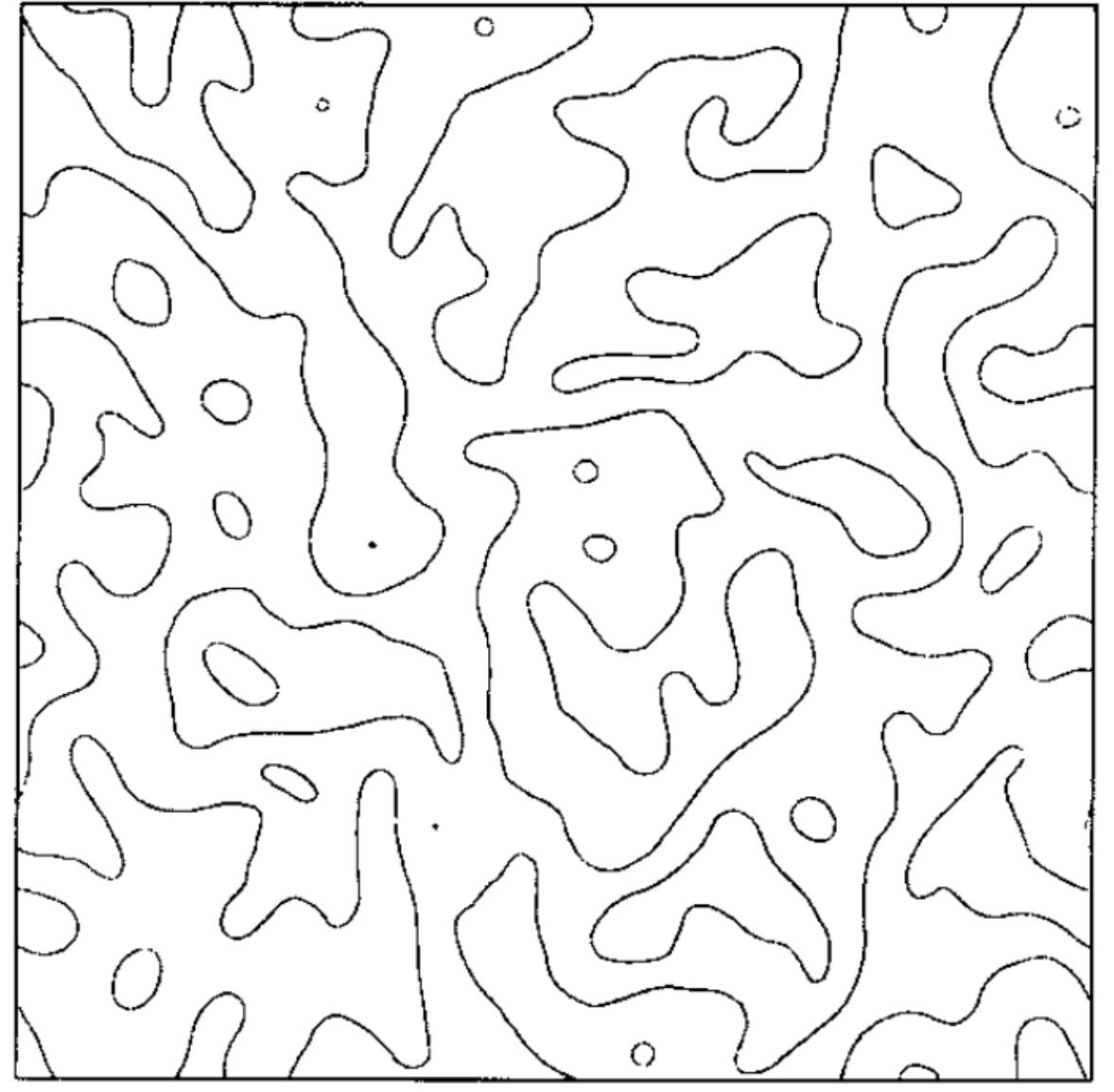


Vilenkin&Shellard 2000

Abundance of late-annihilators \mathcal{F}

Discretization





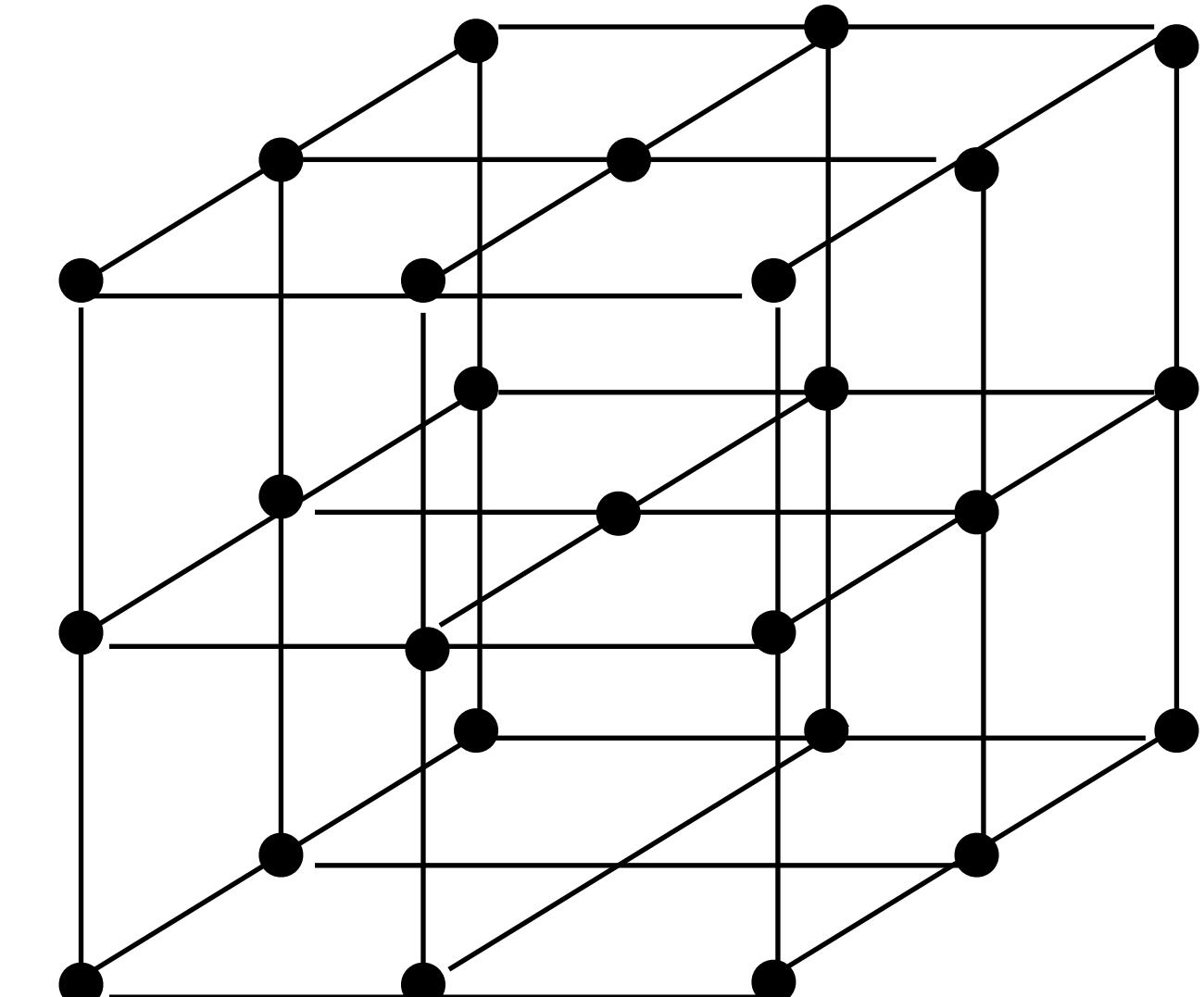
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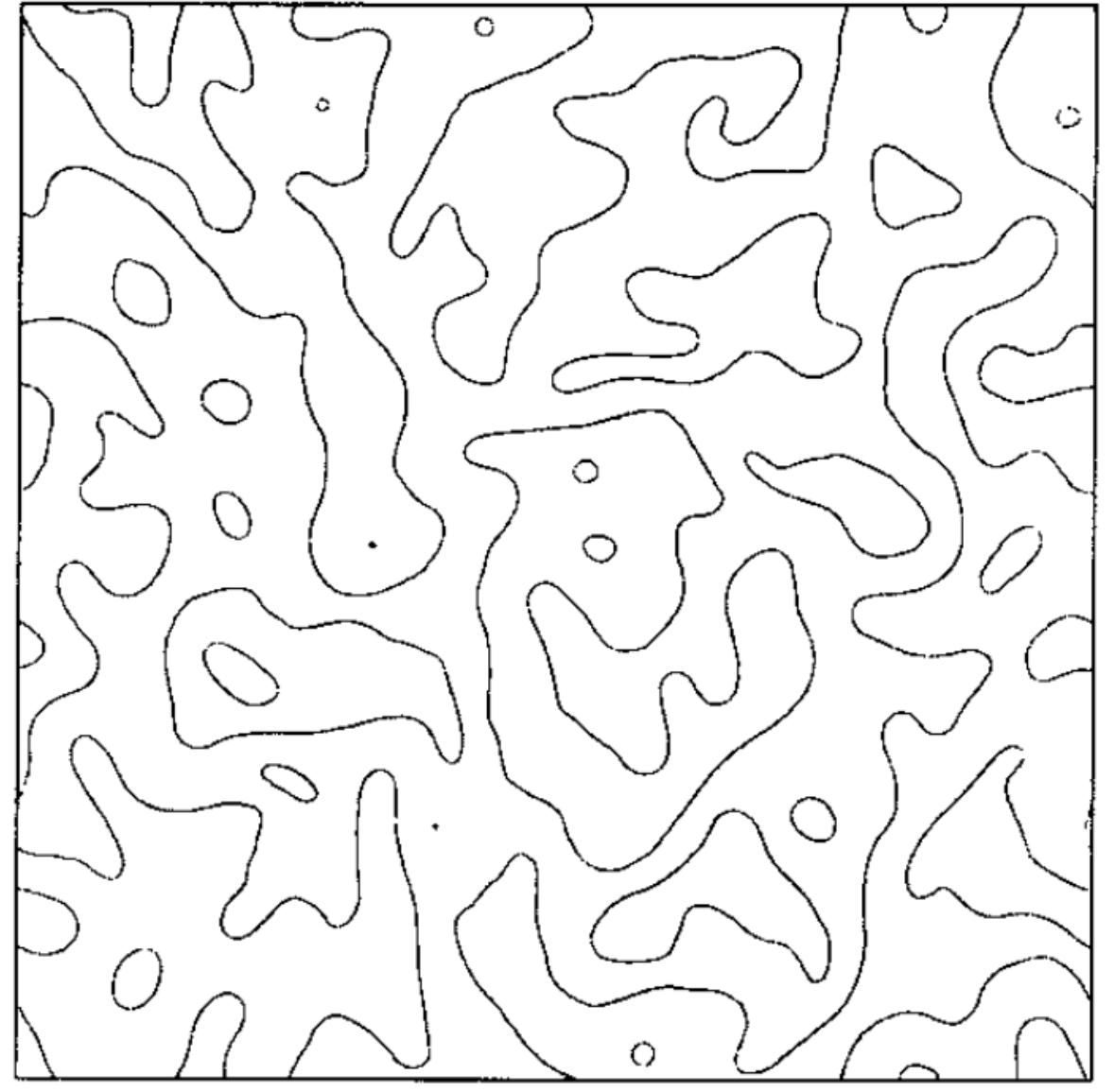
Abundance of late-annihilators \mathcal{F}

Percolation theory on a lattice:



Discretization





Vilenkin&Shellard 2000

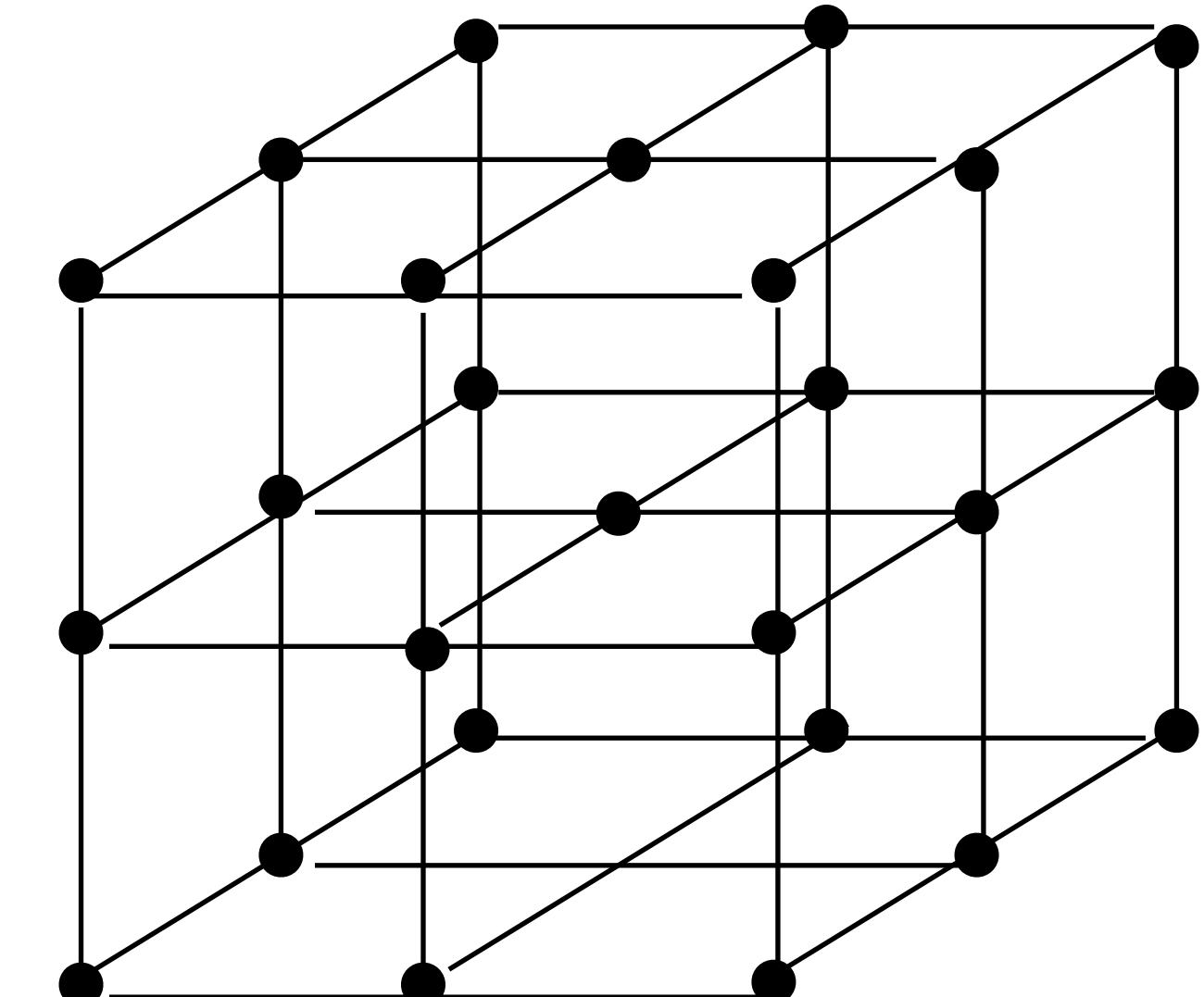
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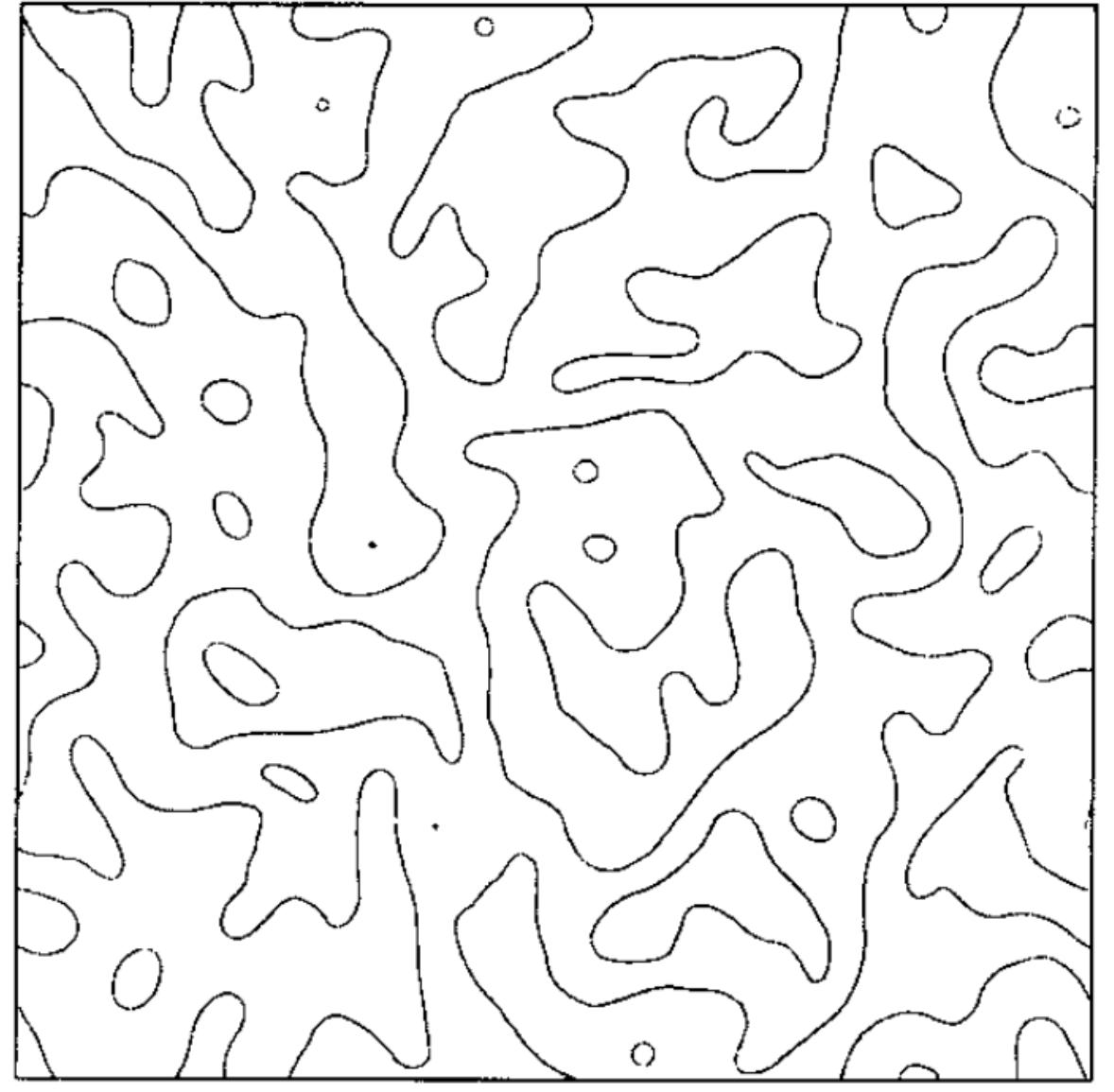
Percolation theory on a lattice:

1) Lattice spacing: $a = \xi \times t$ with $\xi = \mathcal{O}(1)$



Discretization





Vilenkin&Shellard 2000

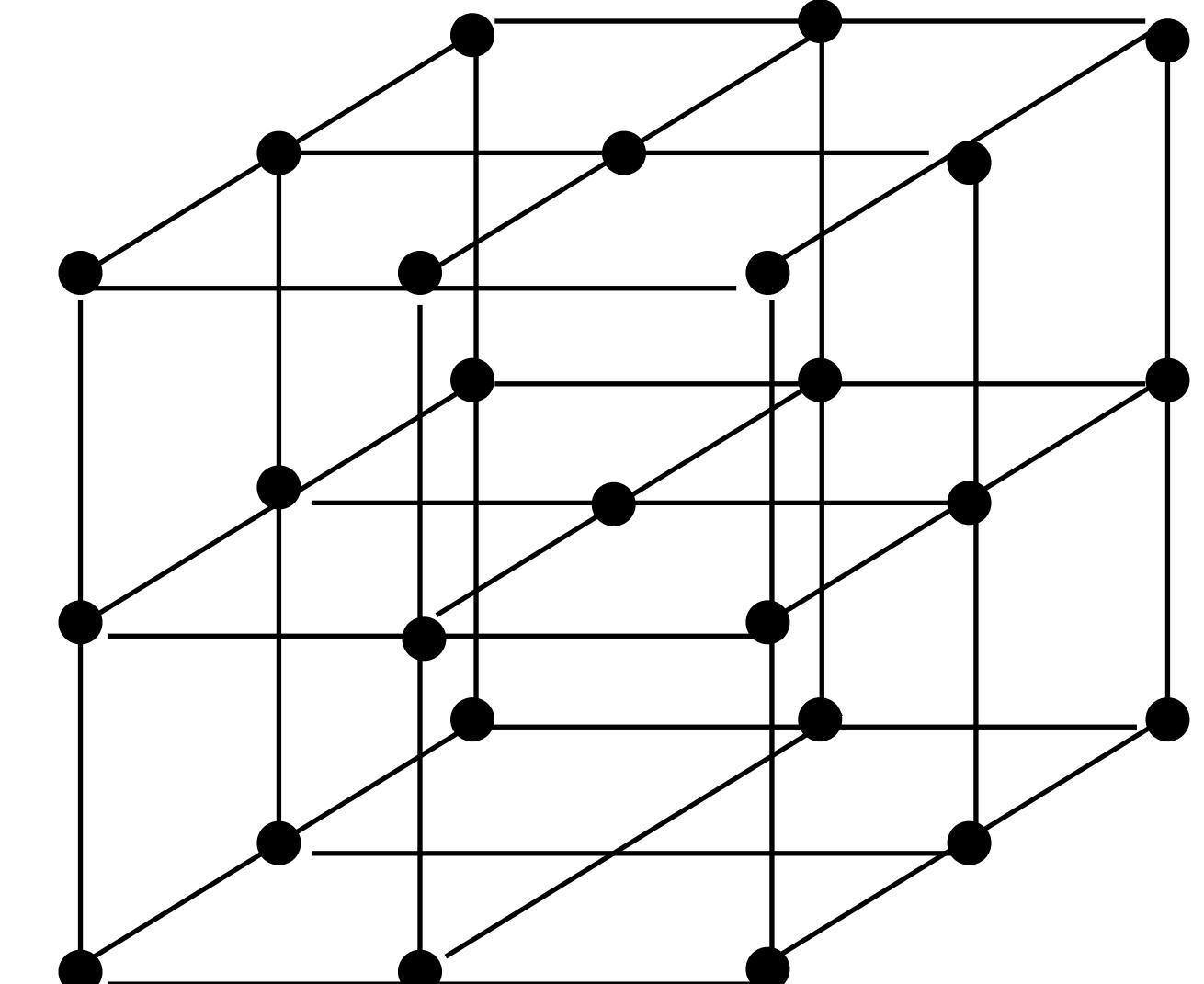
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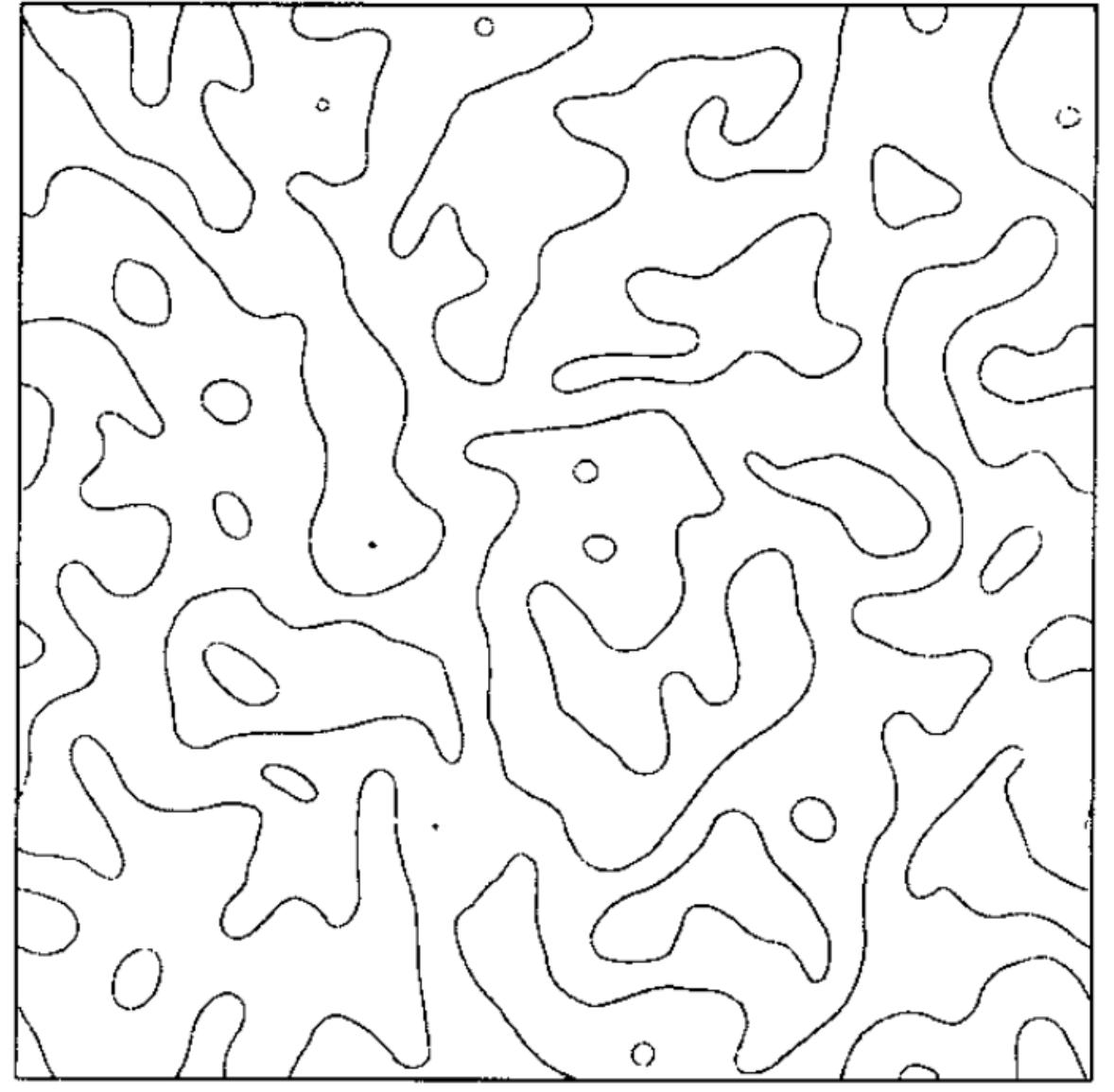
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Discretization





Vilenkin&Shellard 2000

Abundance of late-annihilators \mathcal{F}

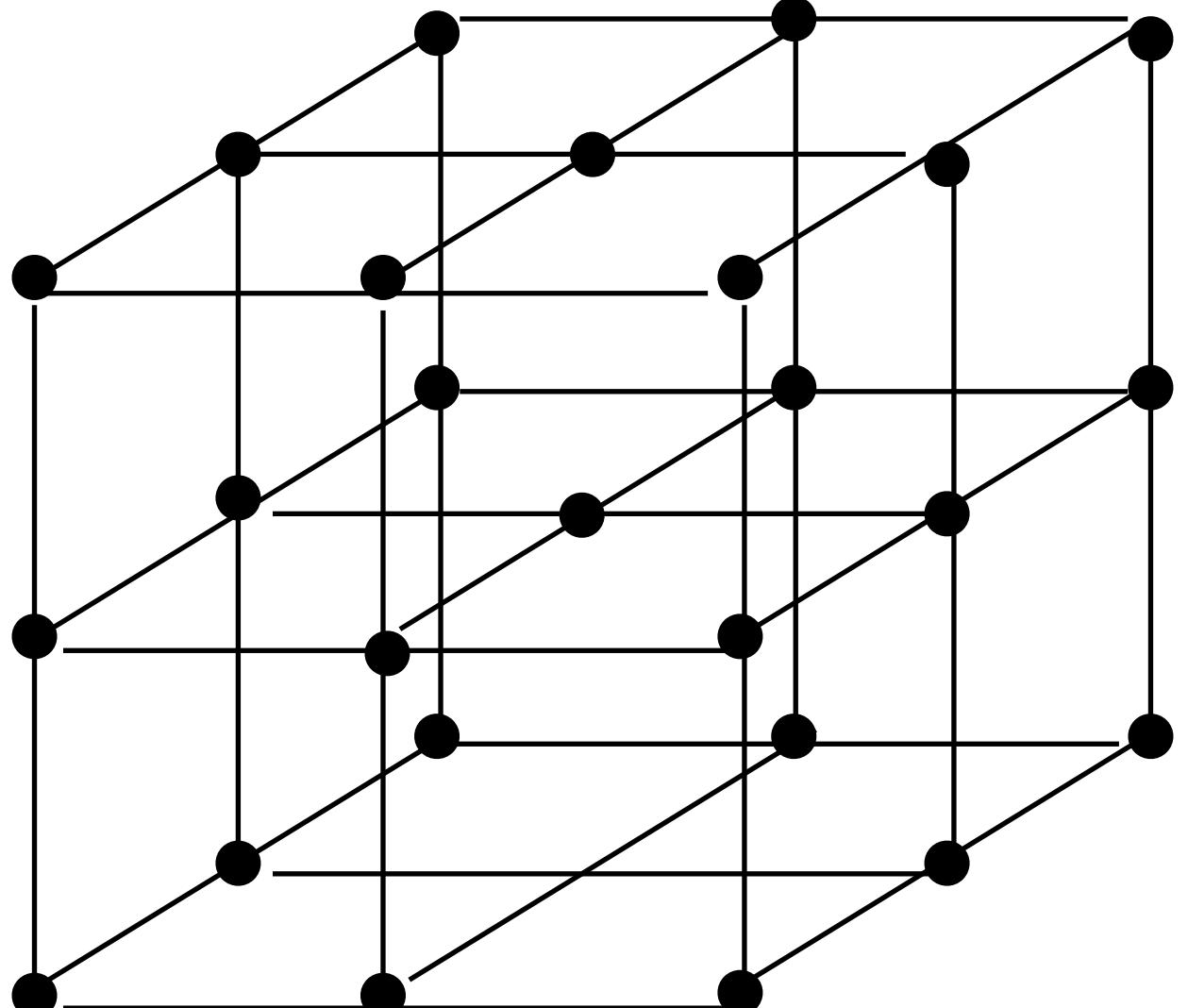
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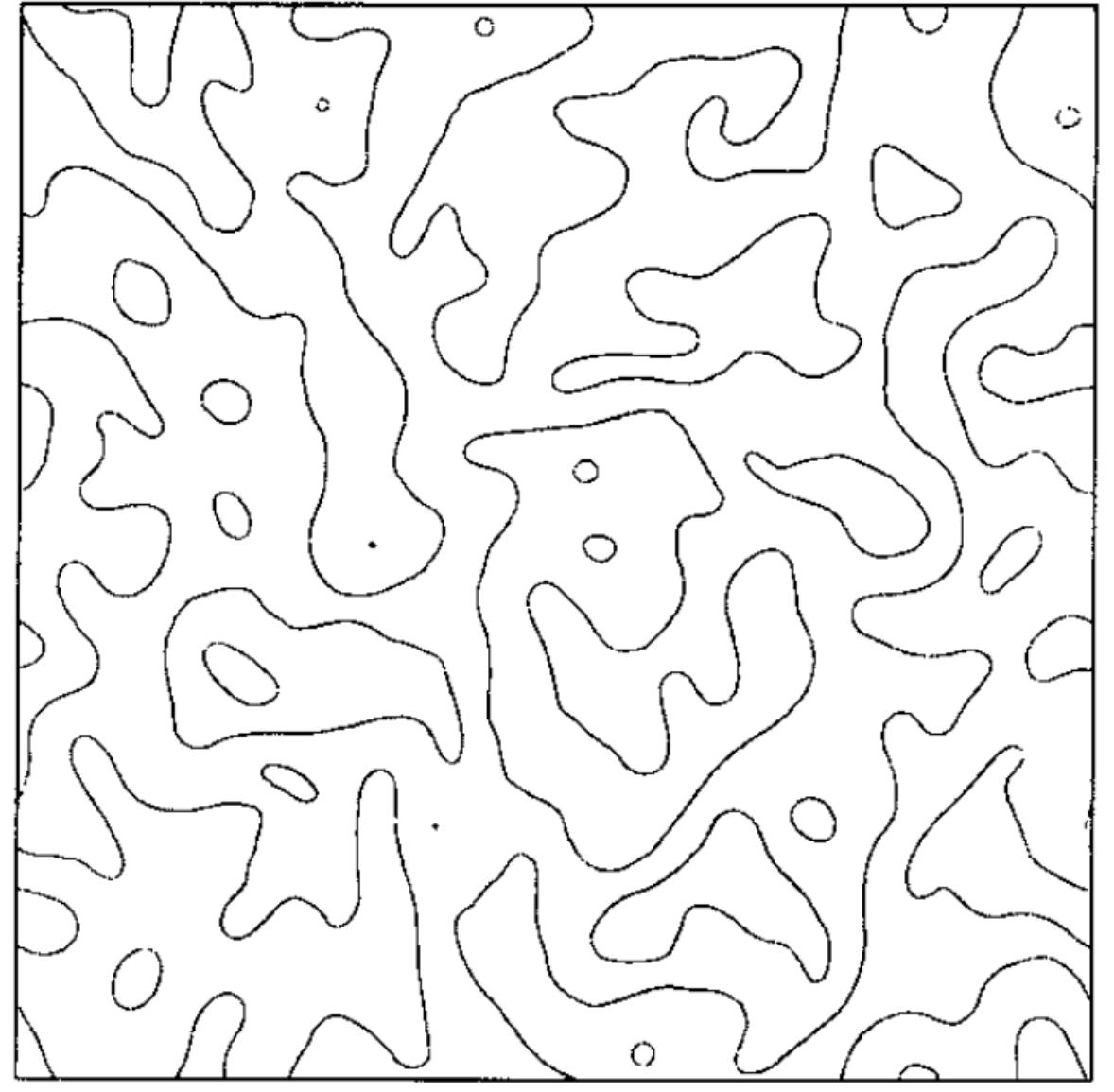
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Discretization

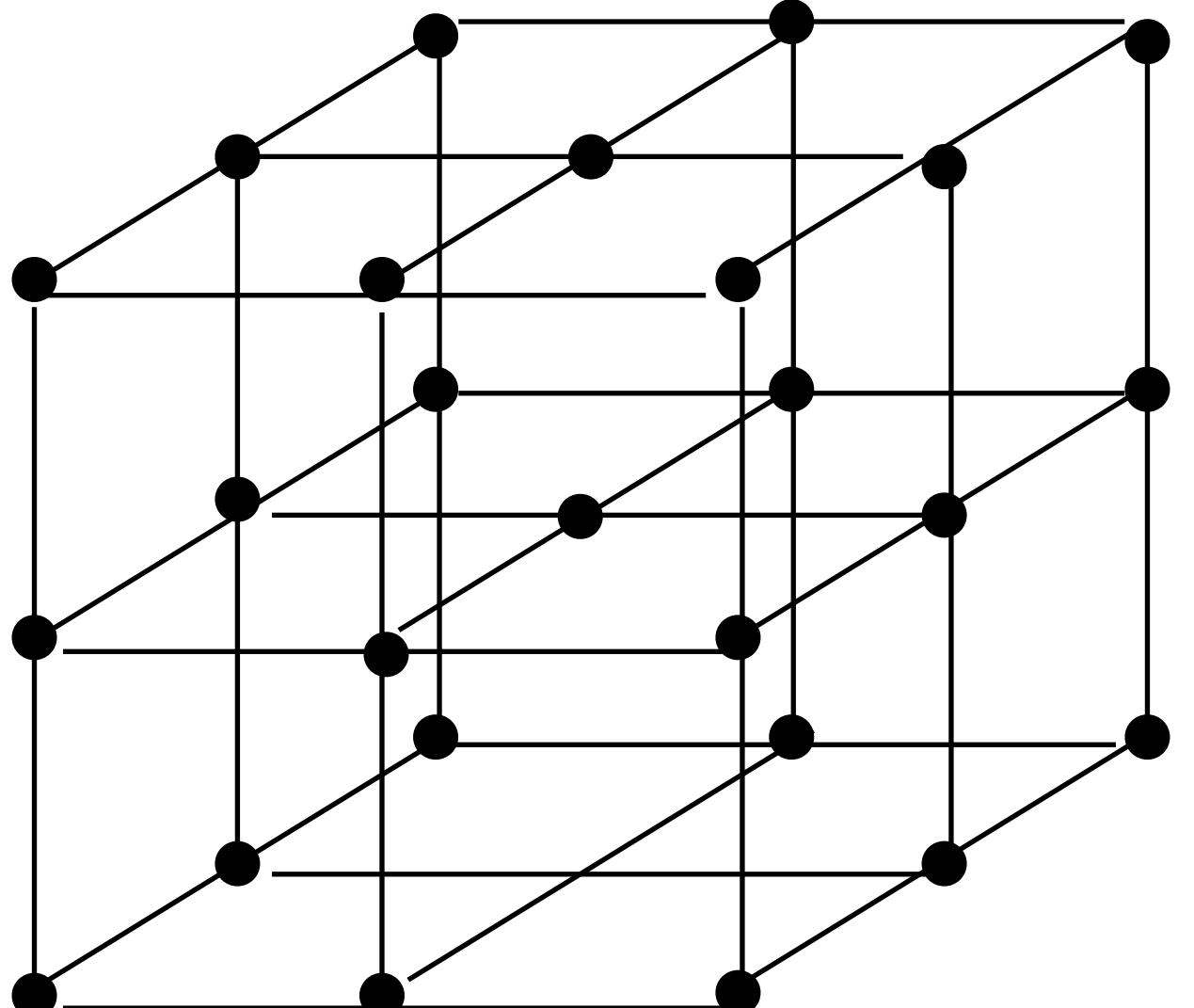




Vilenkin&Shellard 2000



Discretization



Abundance of late-annihilators \mathcal{F}

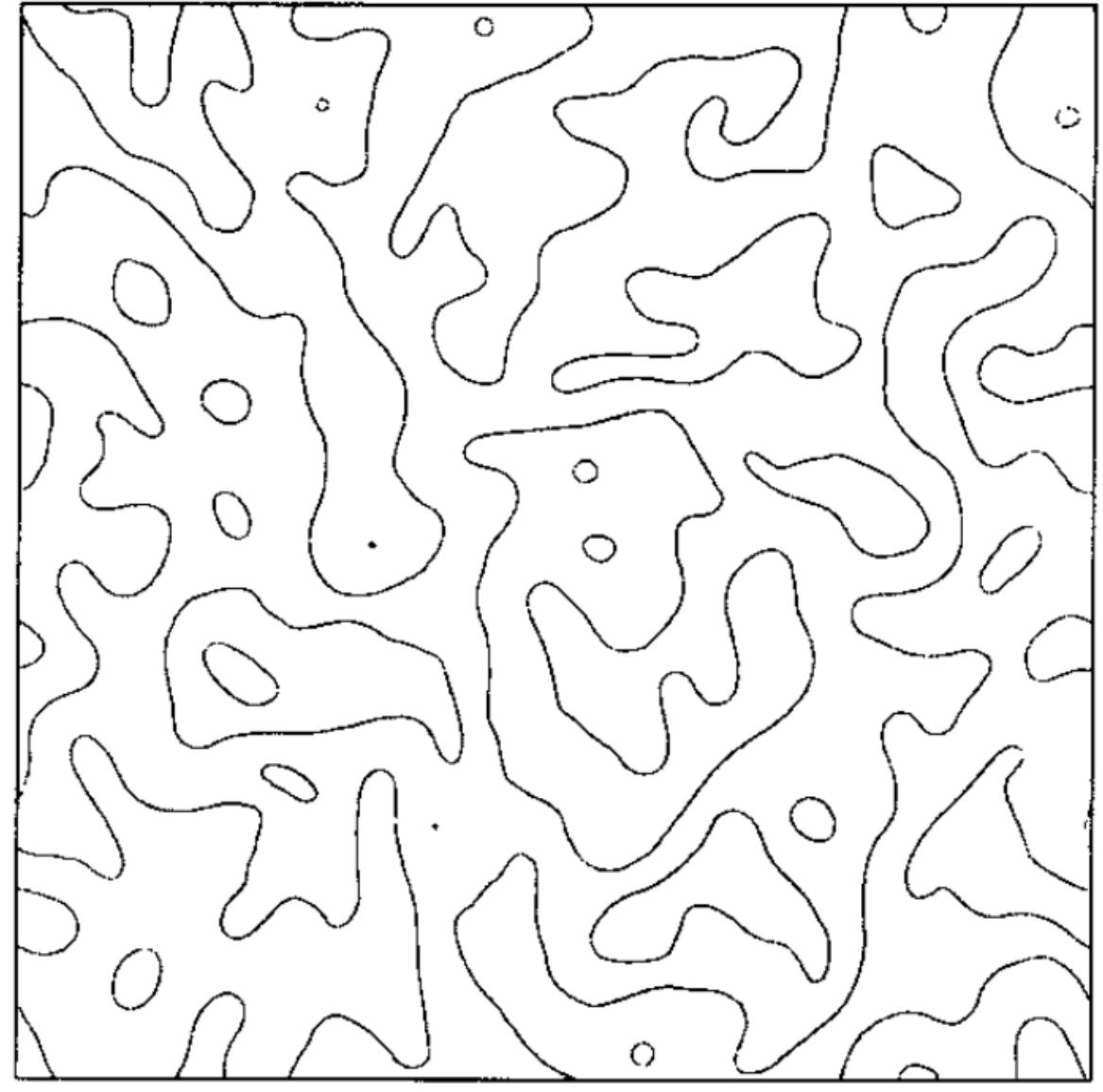
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Vilenkin&Shellard 2000

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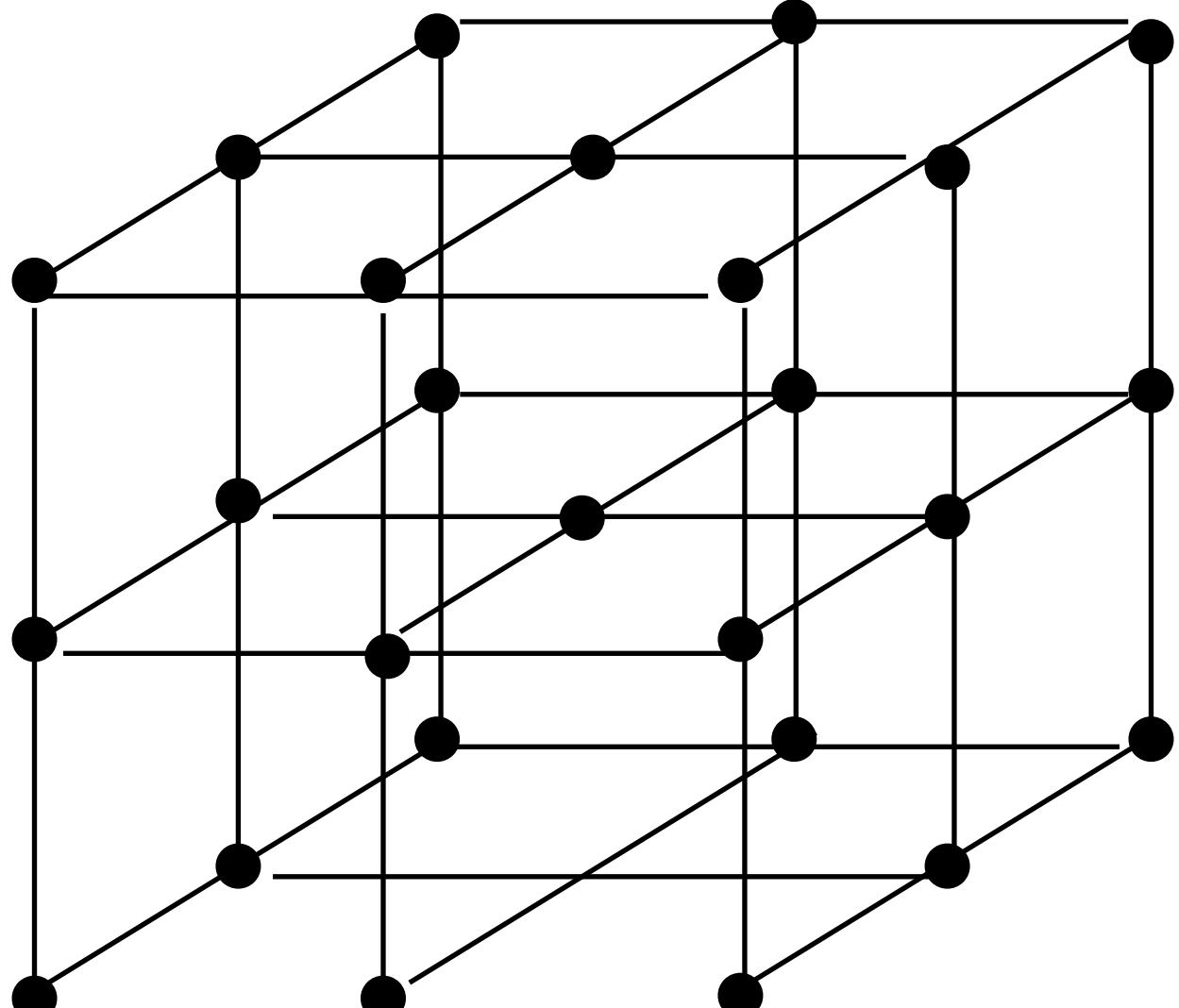
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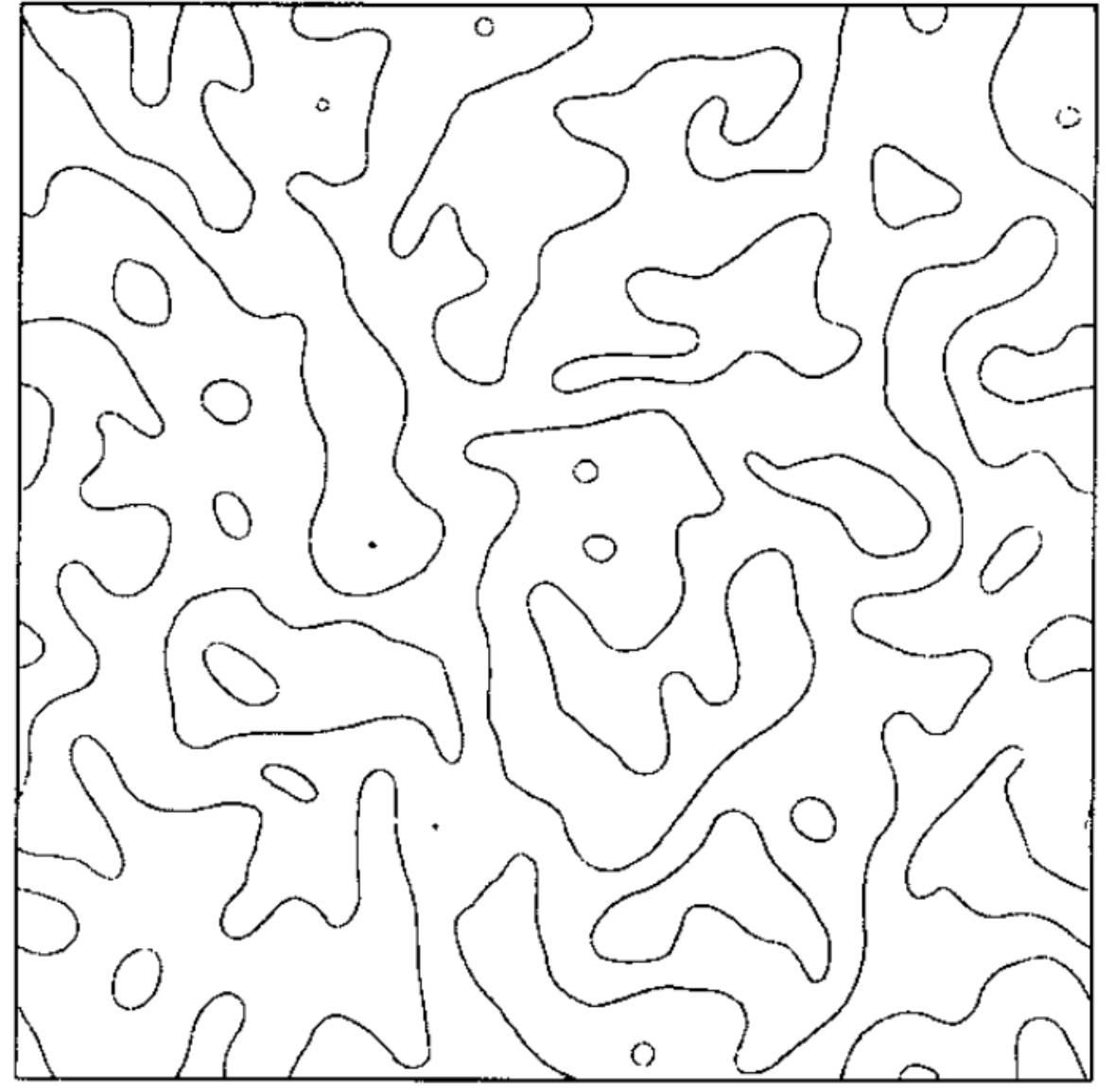
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Discretization

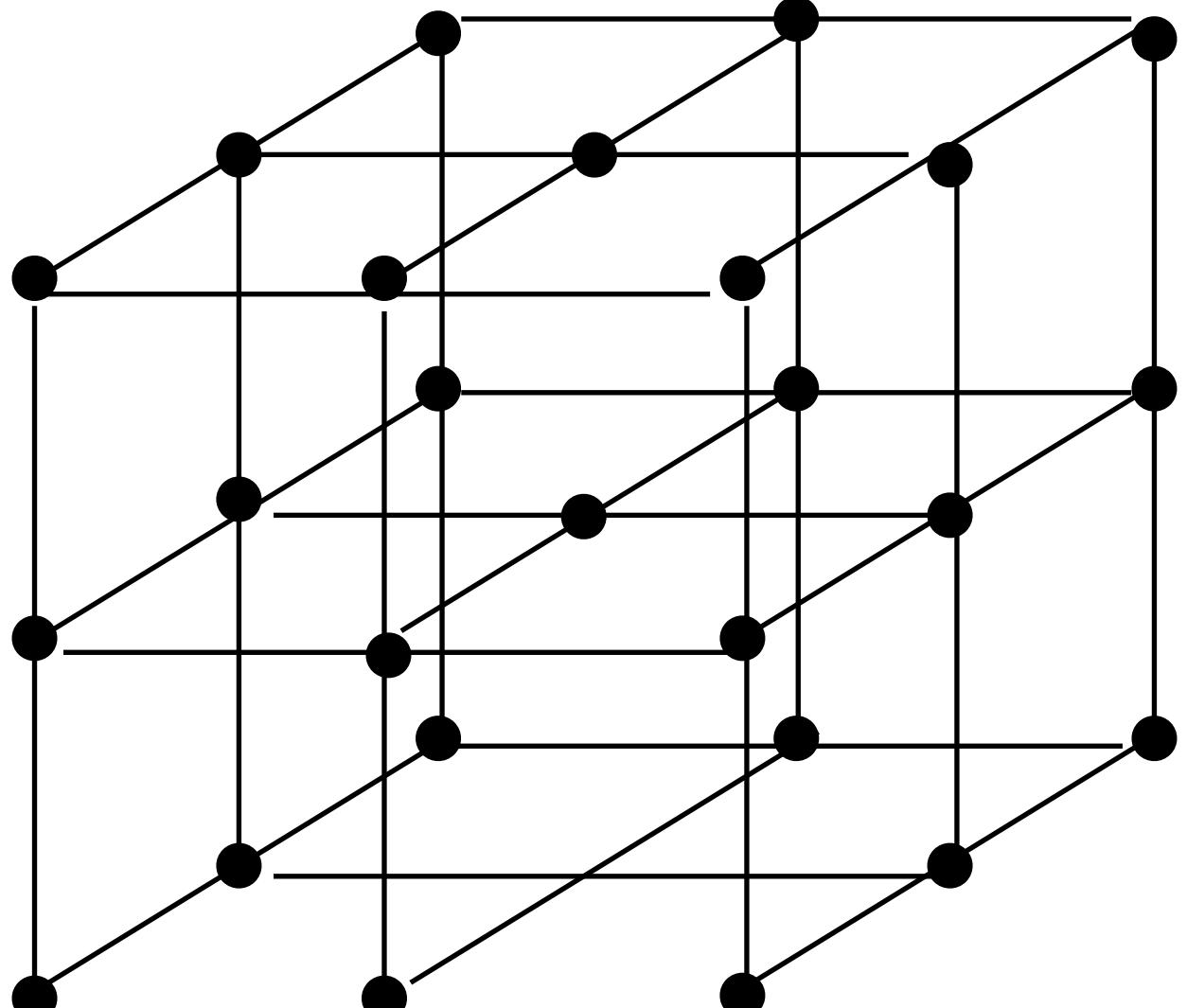




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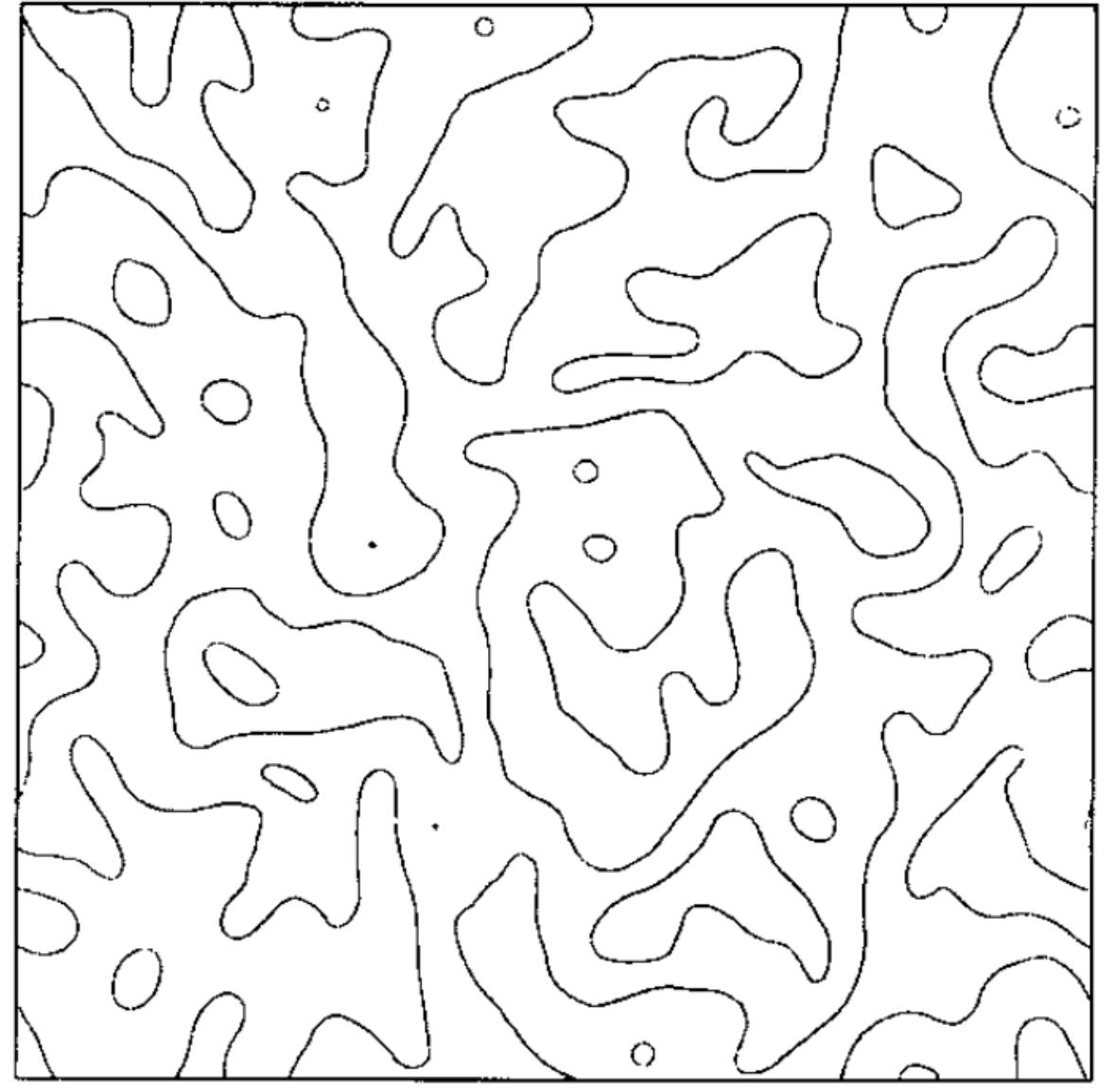
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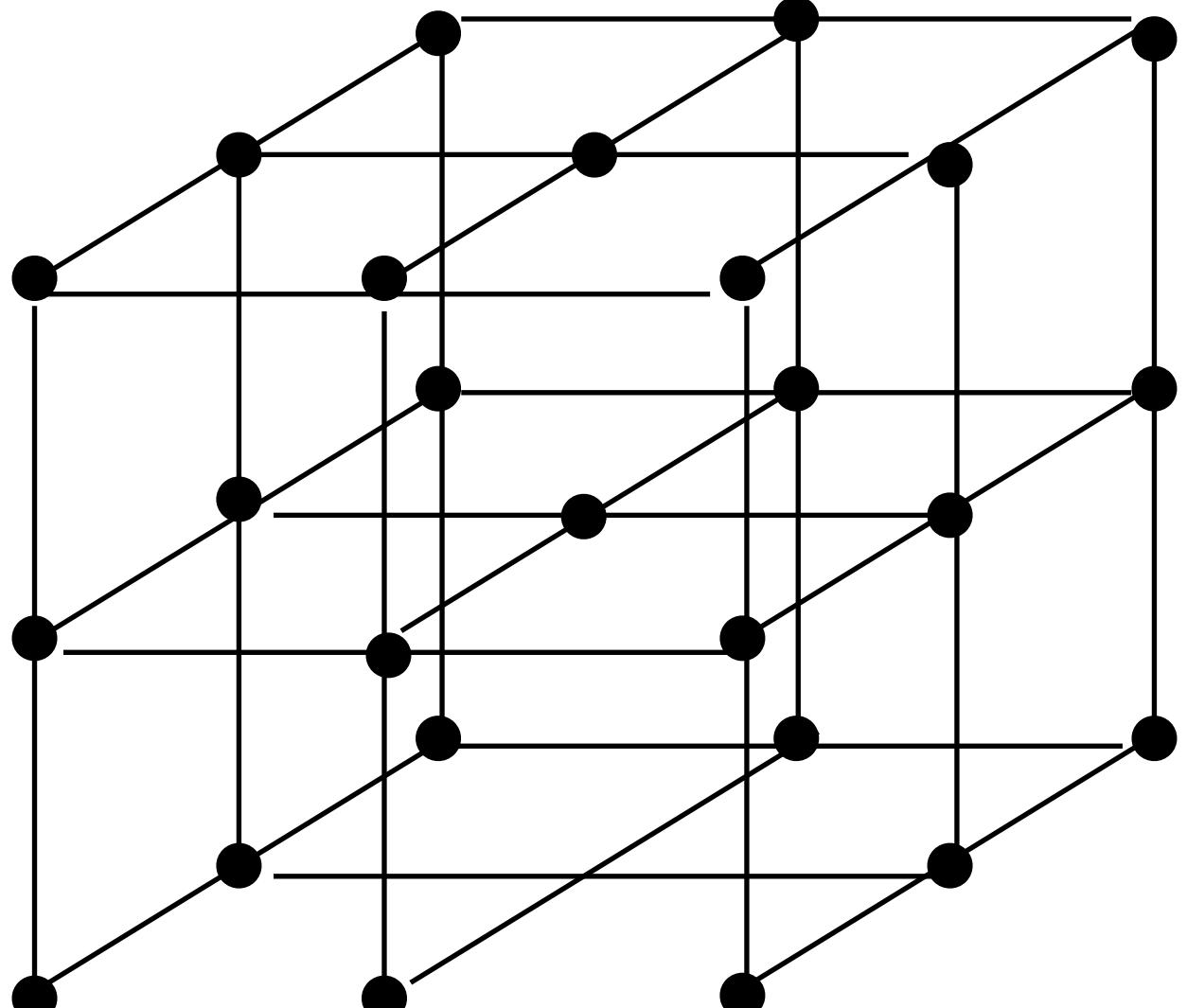
$$s = \text{number of sites in DW} \simeq \frac{4\pi}{3} \left(\frac{R}{a} \right)^3$$



Vilenkin&Shellard 2000



Discretization



Abundance of late-annihilators \mathcal{F}

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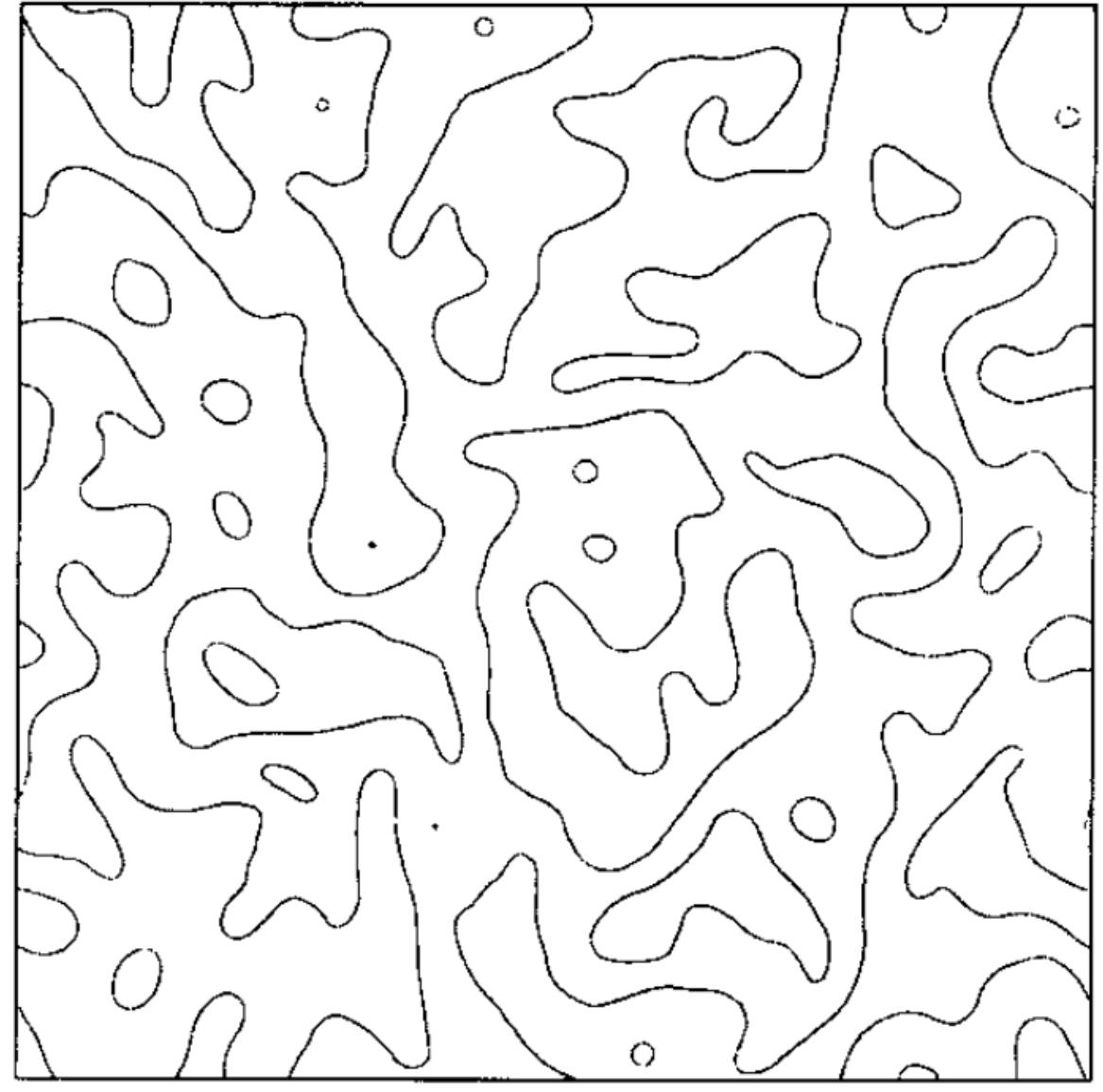
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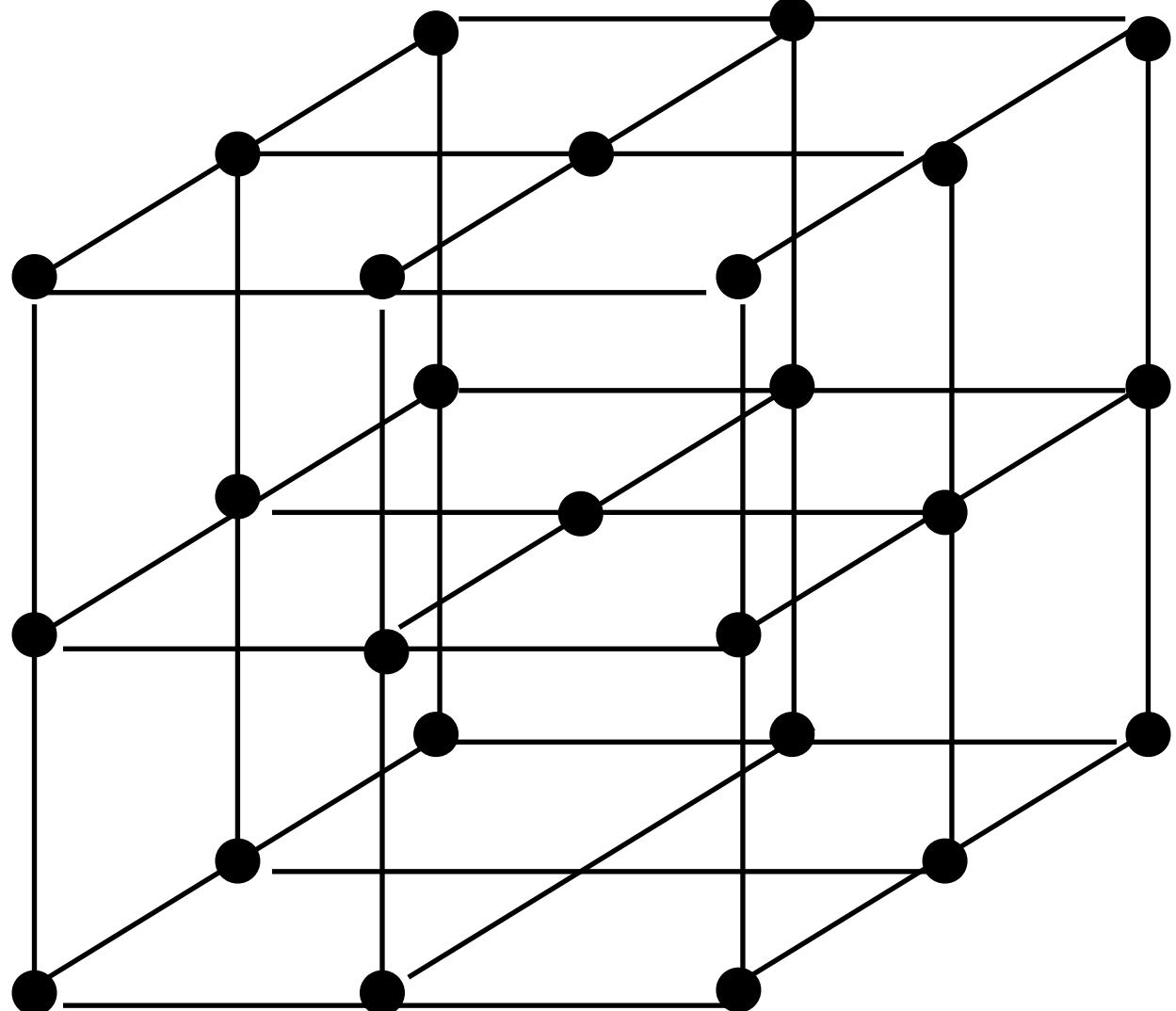
$$\mathcal{F}(R) \simeq P^s \simeq P^{4\pi(R/a)^3/3}$$

$$s = \text{number of sites in DW} \simeq \frac{4\pi}{3} \left(\frac{R}{a} \right)^3$$



Vilenkin&Shellard 2000

Discretization



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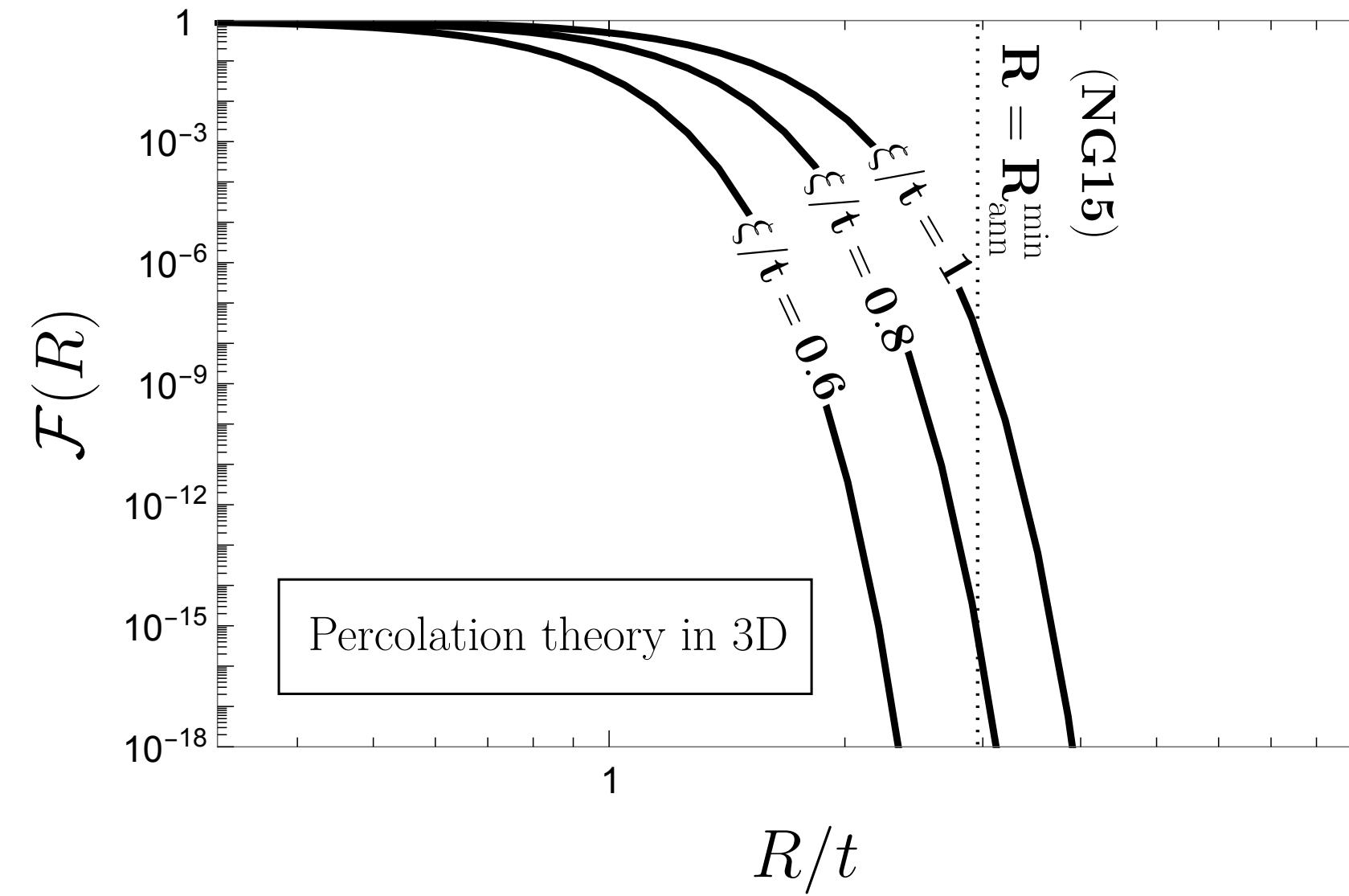
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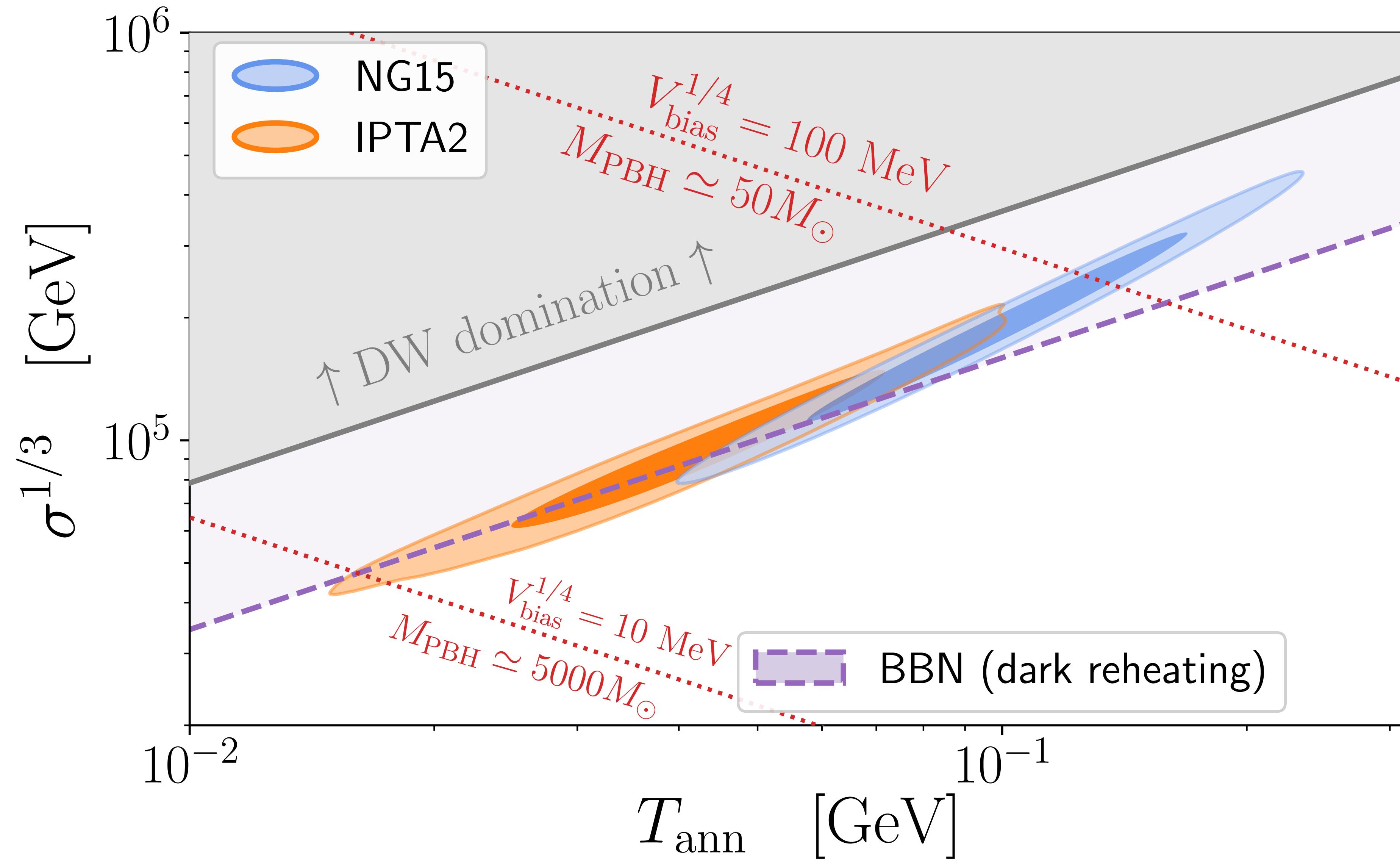
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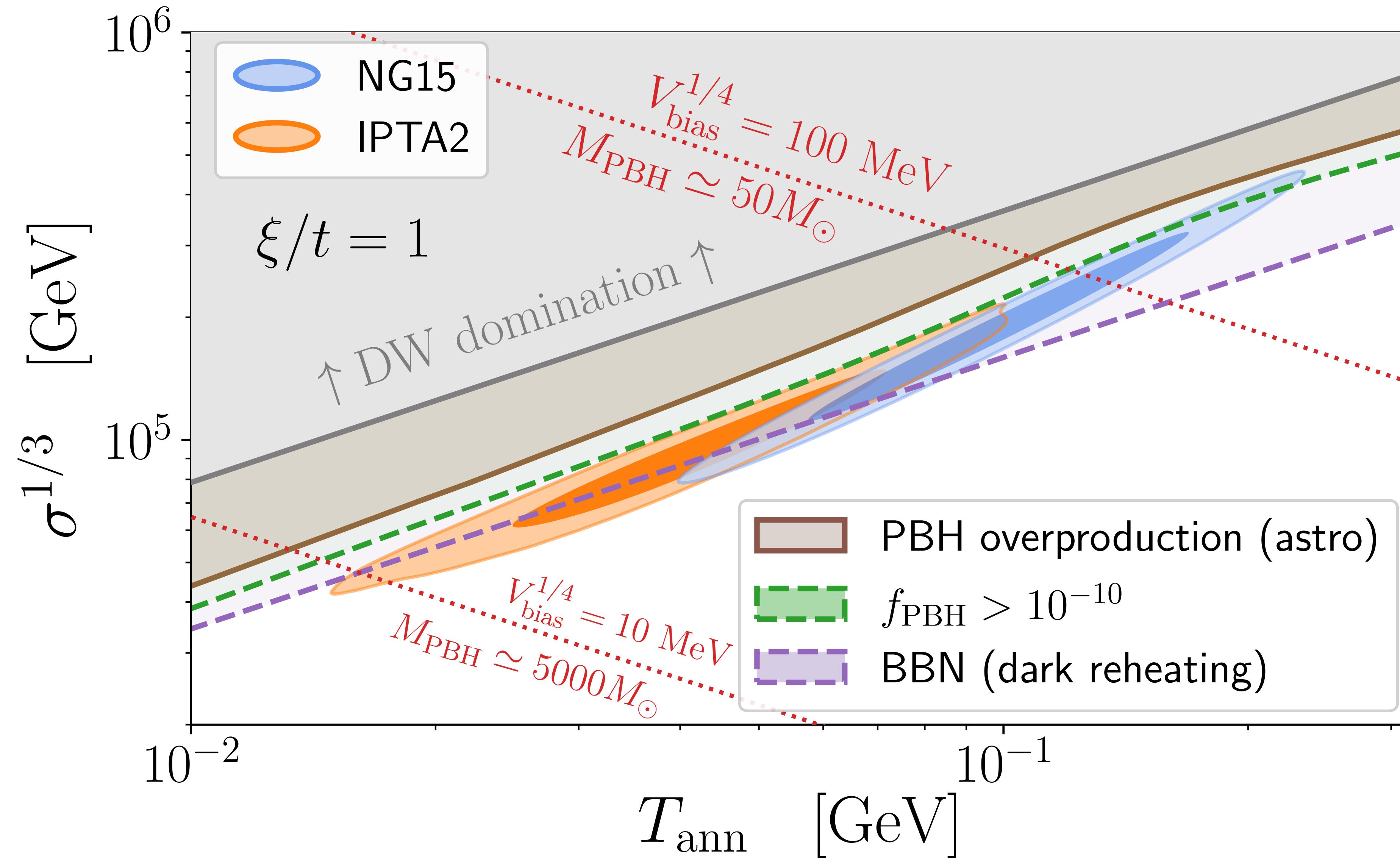
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Outlooks: Many applications beyond PTA

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