

# SUSY in di-tau final states

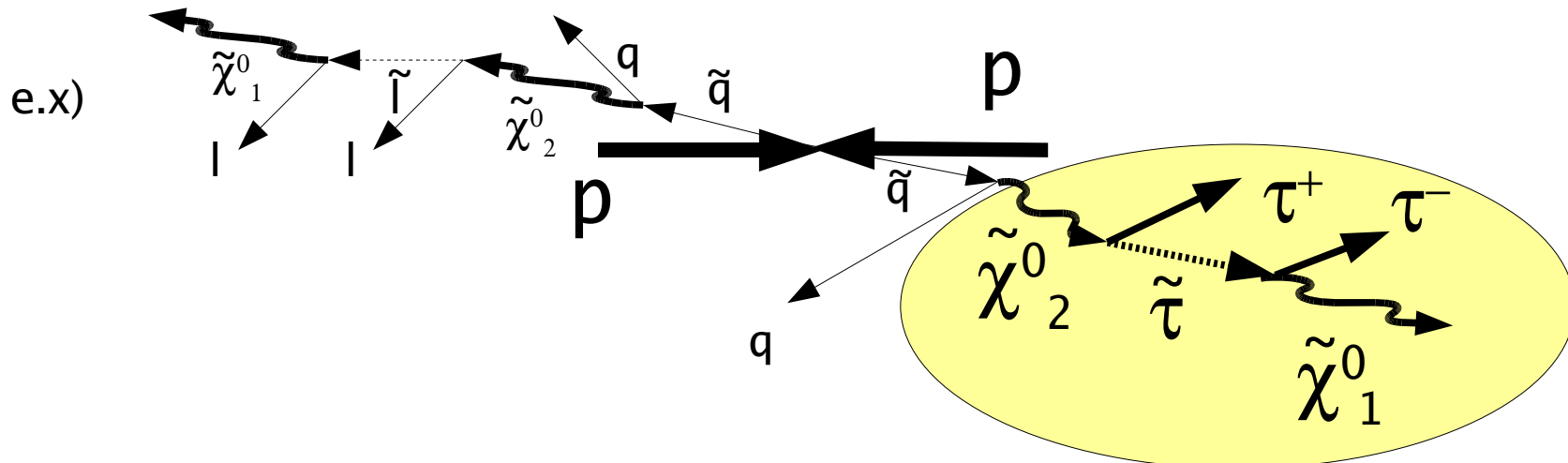
CMS France  
1<sup>st</sup> April 2010  
CEA Saclay, Paris

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IPHC / Universite de Strasbourg

# Brief outline

- Strasbourg has interests in di-tau final states.



(Just replaced  $\mu$  pairs or  $e$  pairs with  $\tau$  pairs in the golden mode.)

- Outline
  - Basic distributions (still in 10TeV MC)
  - Event selection optimization test
  - ABCD method test
  - Status summary

# MC samples

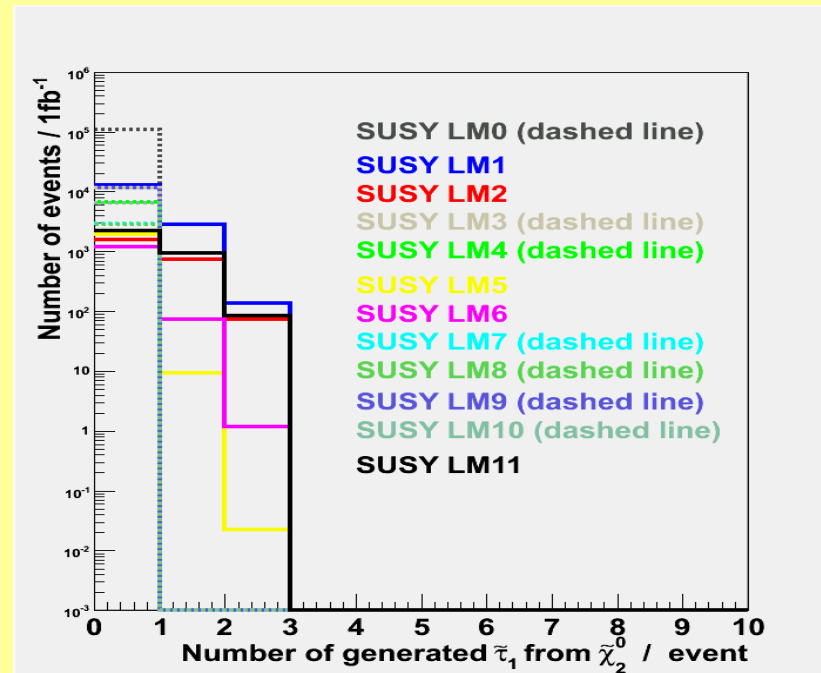
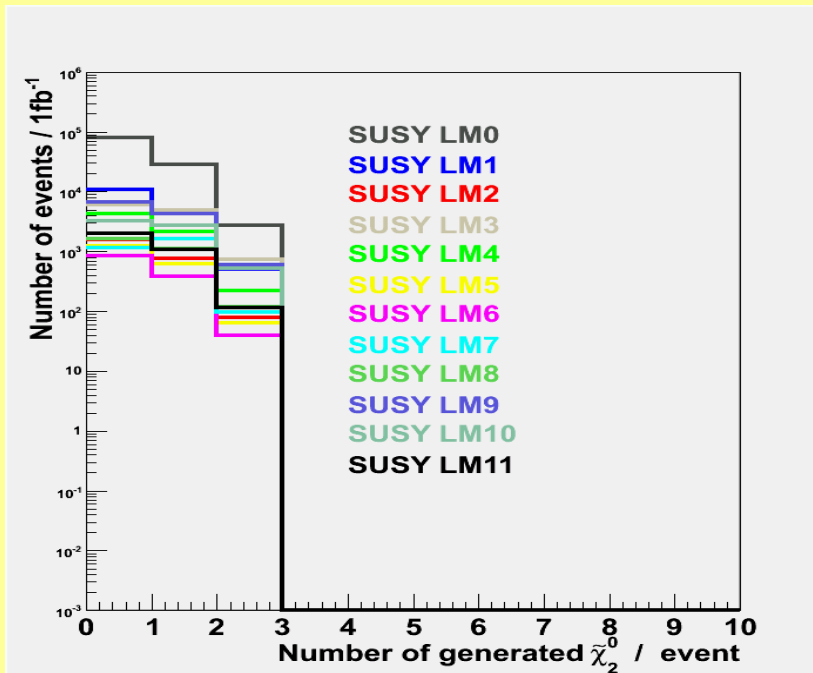
Sample	Cross section	Events used	Luminosity correspond
LM0	110 pb	203 k	1.8 fb <sup>-1</sup>
LM1	16.1 pb	105 k	6.5 fb <sup>-1</sup>
LM2	2.4 pb	130 k	54 fb <sup>-1</sup>
LM3	11.8 pb	153 k	13 fb <sup>-1</sup>
LM4	6.7 pb	110 k	16 fb <sup>-1</sup>
LM5	1.9 pb	172 k	88 fb <sup>-1</sup>
LM6	1.3 pb	134 k	105 fb <sup>-1</sup>
LM7	2.9 pb	82 k	28 fb <sup>-1</sup>
LM8	2.9 pb	211 k	74 fb <sup>-1</sup>
LM9	11.6 pb	200 k	17 fb <sup>-1</sup>
LM10	6.6 pb	203 k	31 fb <sup>-1</sup>
LM11	3.2 pb	208 k	64 fb <sup>-1</sup>
ttbar	317 pb	1.0 M	3.0 fb <sup>-1</sup>
WJets	40000 pb	9.2 M	0.23 fb <sup>-1</sup>
ZJets	3700 pb	1.3 M	0.34 fb <sup>-1</sup>
QCDHt100to250	15 μb	12.7 M	0.8 pb <sup>-1</sup>
QCDHt250to500	400 nb	5.1 M	13 pb <sup>-1</sup>
QCDHt500to1000	14000 pb	4.7 M	0.33 fb <sup>-1</sup>
QCDHt1000toInf	370 pb	1.1 M	2.9 fb <sup>-1</sup>

Note.1: 10 TeV samples

Note.2: Summer08 Pythia6 for signal SUSY Light Mass test points (LMX), Fall08 MadGraph for the ttbar, Summer08 MadGraph for the Wjets and the Zjets, Fall08 MadGraph for QCDs

Note.3: PAT Layer 1 Files produced with V5.

# Generated particles



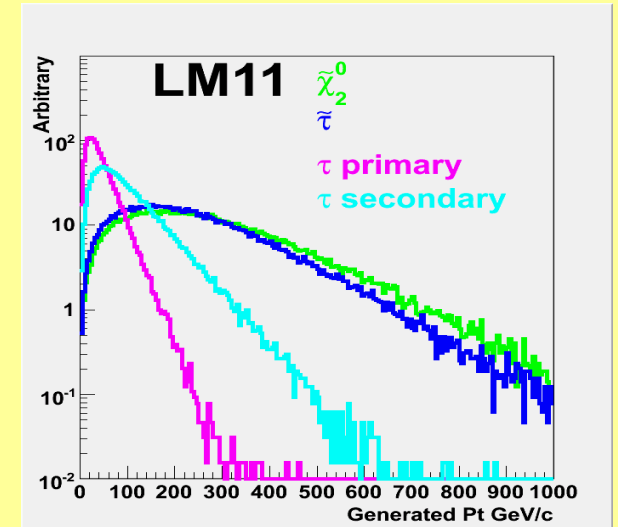
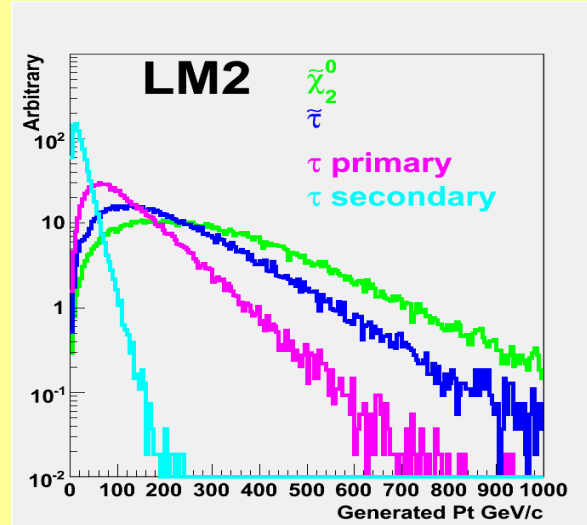
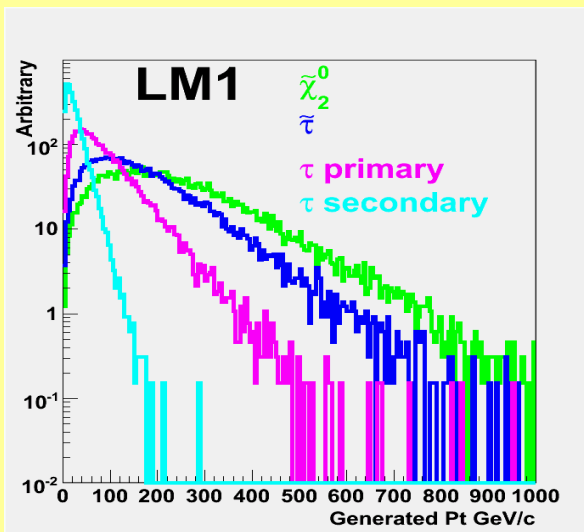
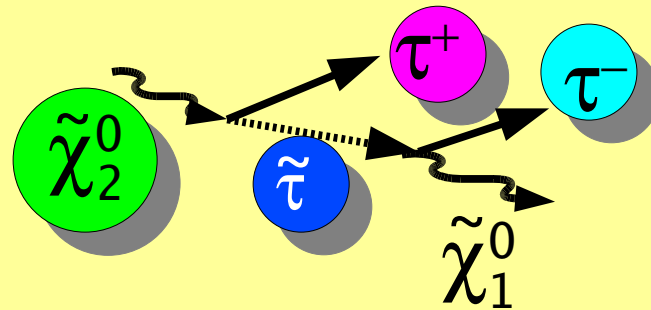
Light mass test points	$m_0$	$m_{1/2}$	$\tan\beta$	$\text{sign}(\mu)$	A0
LM1	60 GeV	250 GeV	10	+	0
LM2	185 GeV	350 GeV	35	+	0

Note1; Just counting numbers of the generated particles (who has some daughters).

Note2;  $\text{Br}(\tilde{\chi}^0 \rightarrow \tilde{\tau} \tau) = 96\%$  in the LM2

Note3;  $\tau^+\tau^-$  pair can be generated without stau. (e.x.  $\tilde{\chi}_2^0 \rightarrow \tau^+\tau^-\tilde{\chi}_1^0$ )

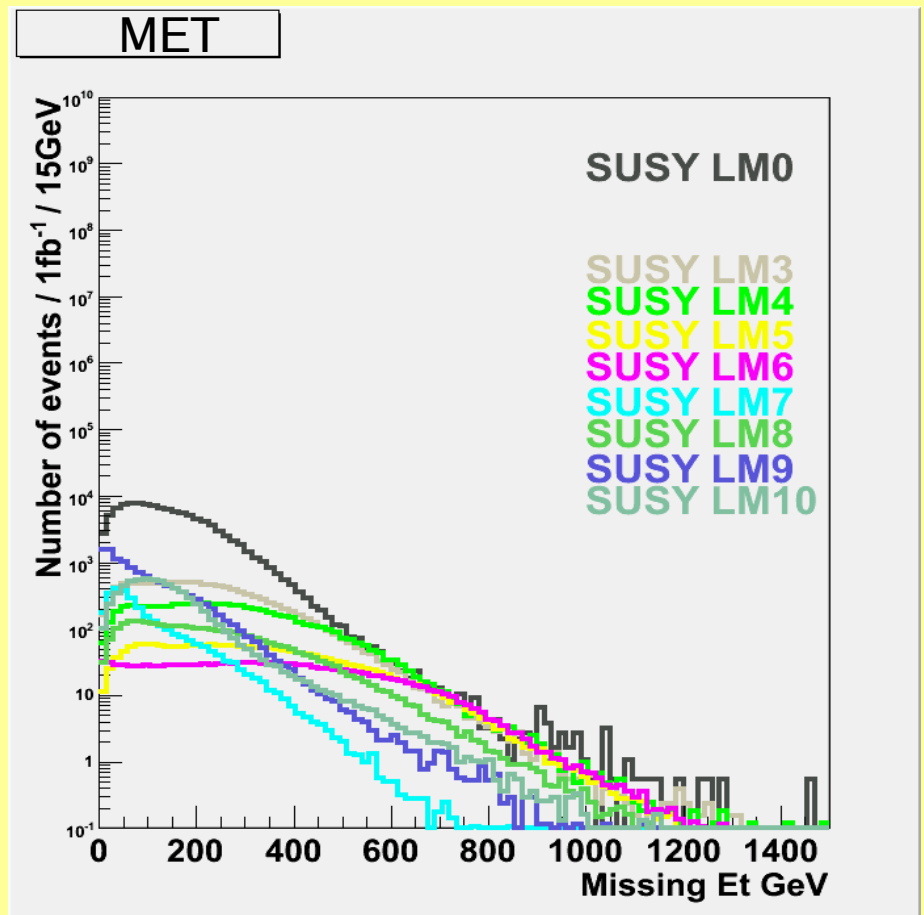
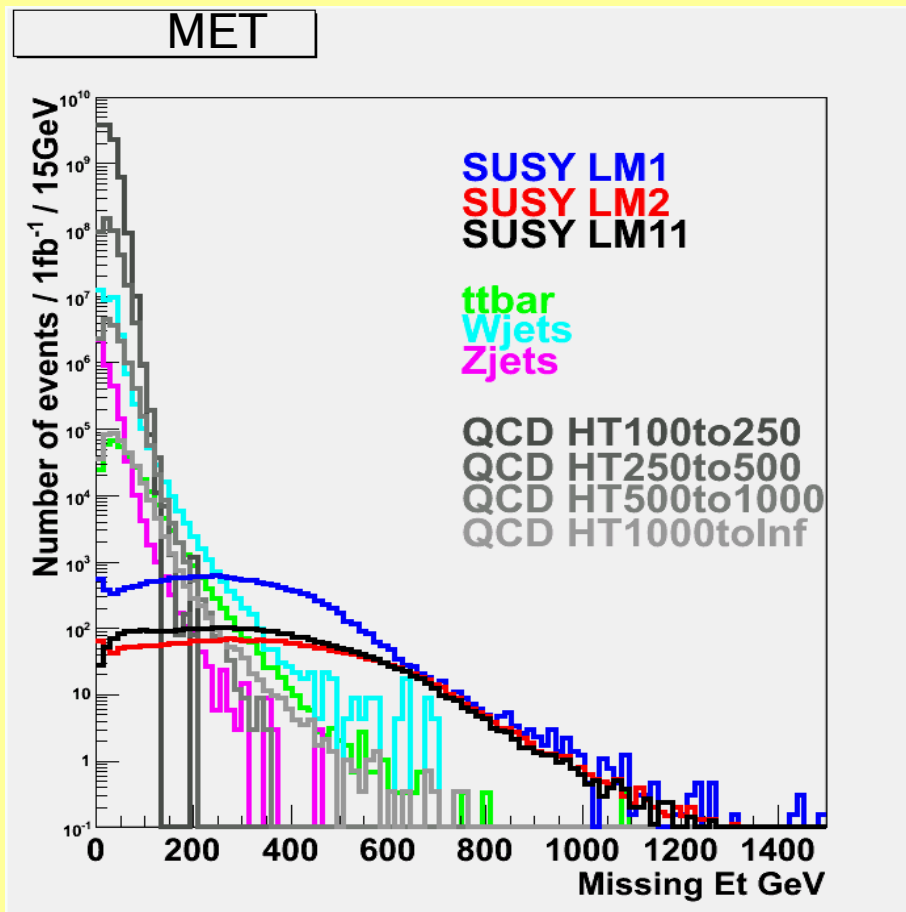
# Generated Pt spectrum in the signal decay chain



Note:  $\tau$  momentum are the generated Pt. (It is NOT the visible Pt.)

# Reconstructed Missing Et (1)

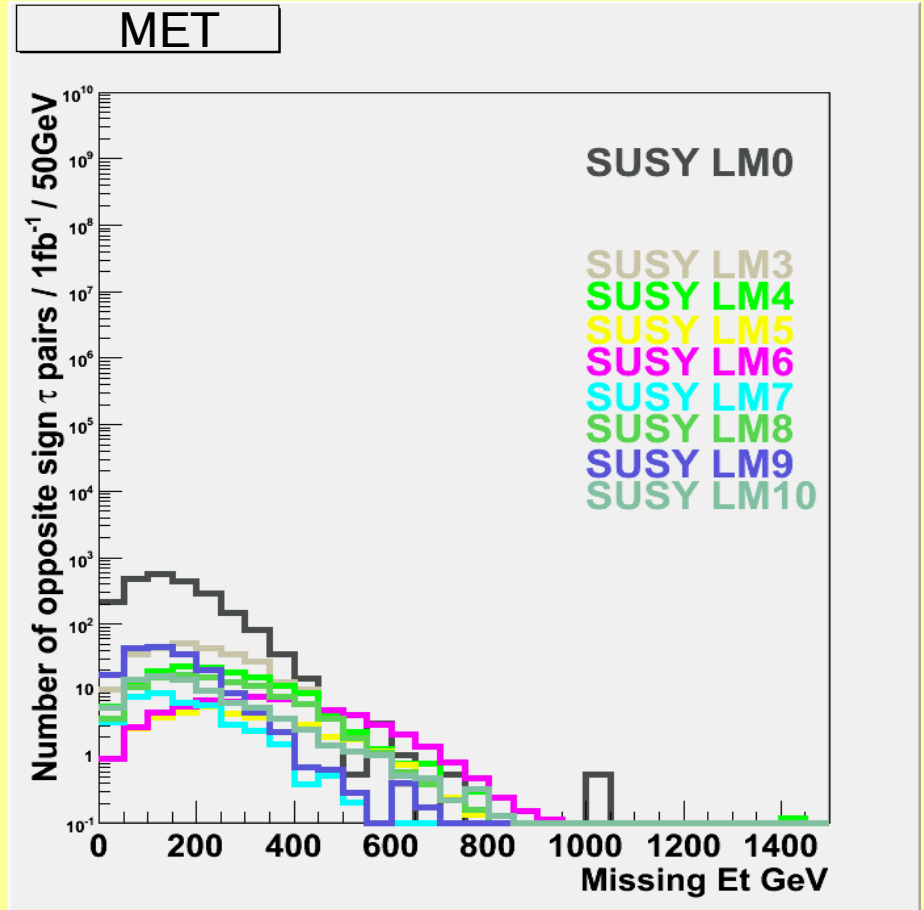
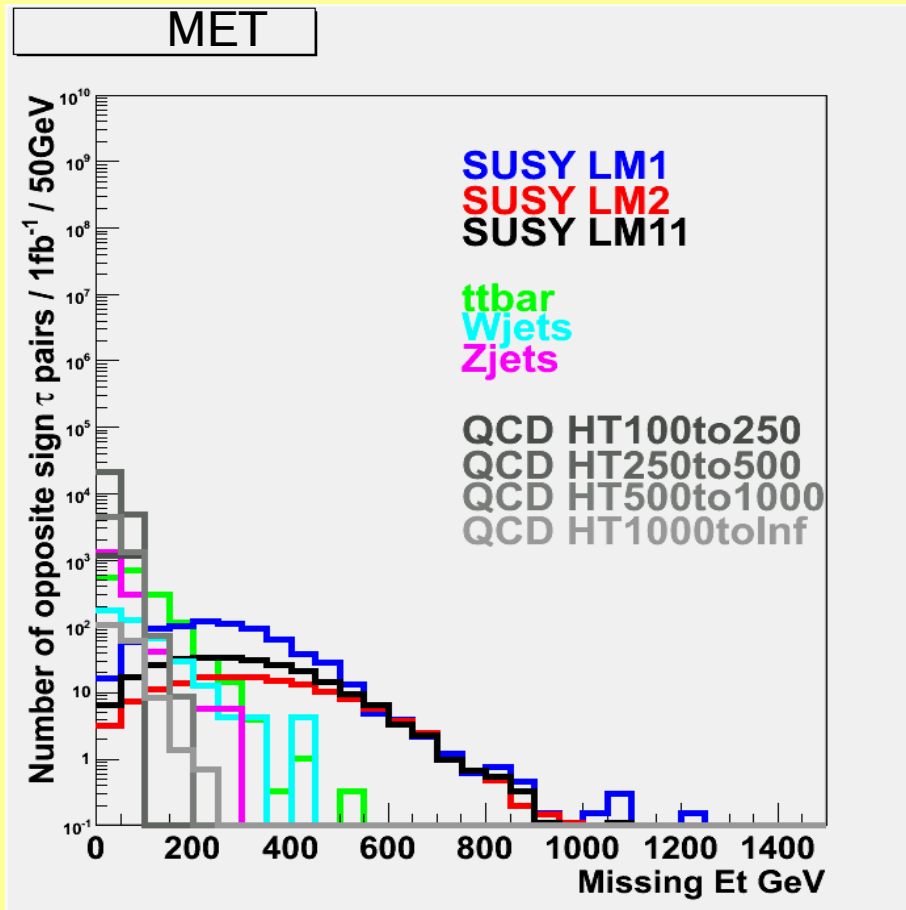
Without any cut  
(They are PAT default outputs.)



# Reconstructed Missing Et (2)

With basic criteria:

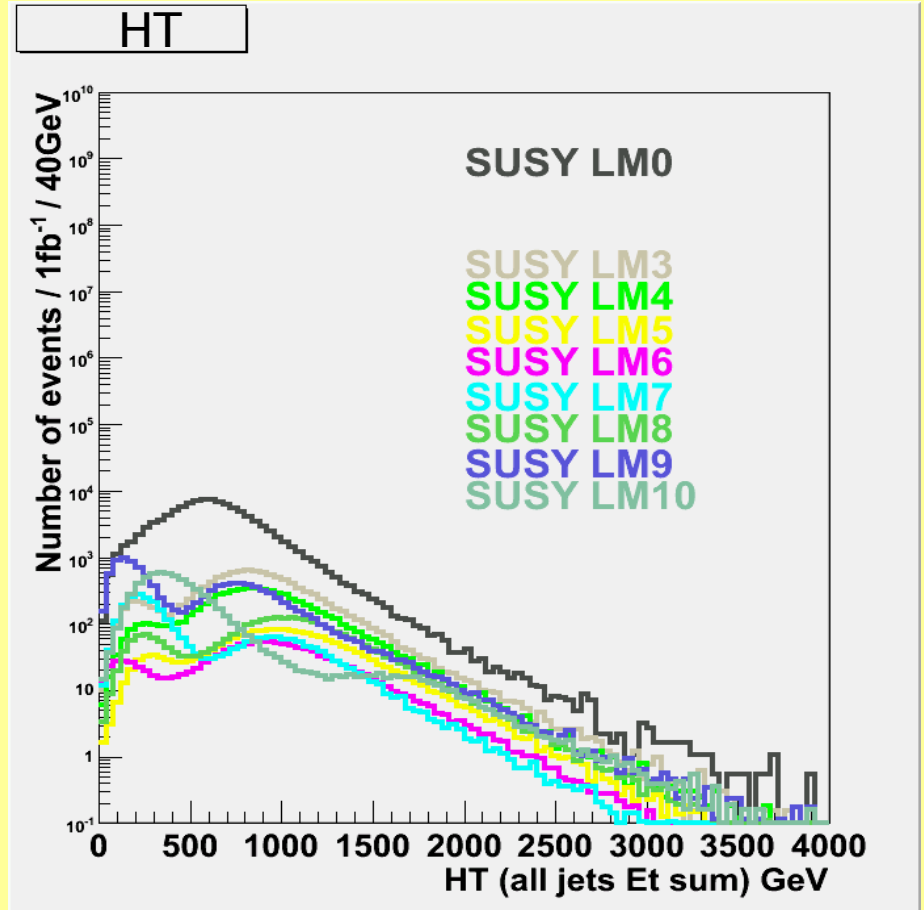
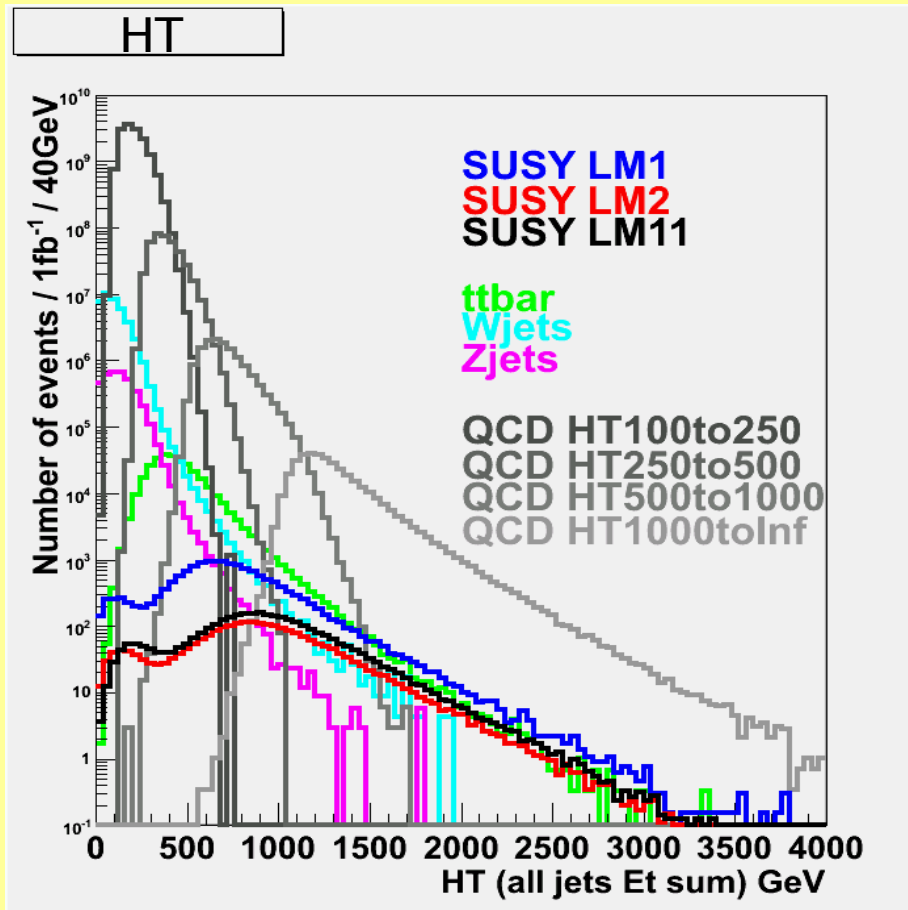
- $\tau$  pair requirement, both with  $P_t > 5$  GeV/c (PAT default) and  $|\eta| < 2.0$
- $HT > 500$  GeV (HT = All jets Et sum in the default PAT)
- Leading jet Et  $> 50$  GeV



# Reconstructed HT (1)

(all jets Et sum in default PAT)

Without any cut  
(They are PAT default outputs.)



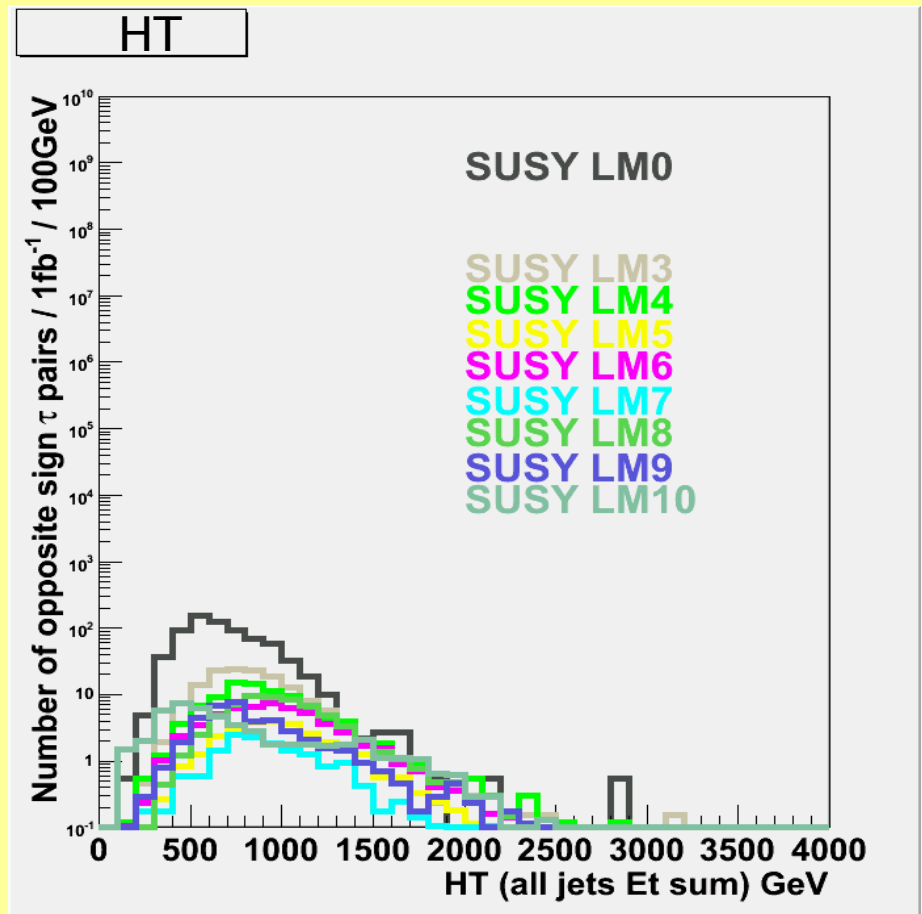
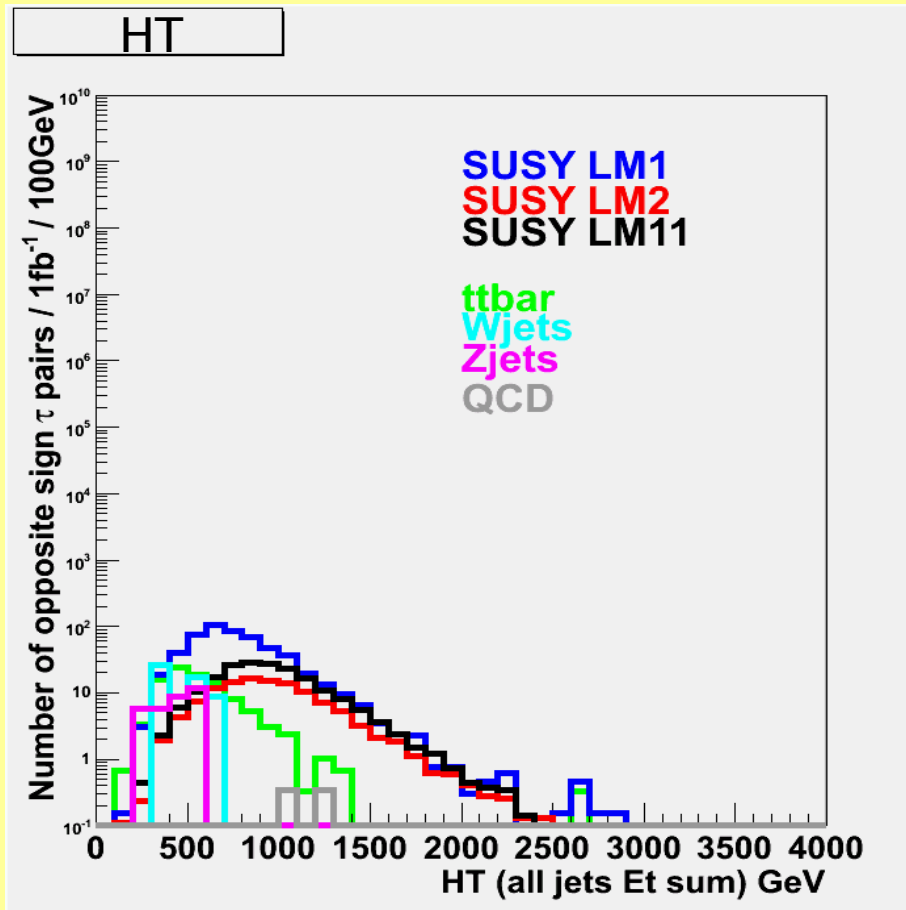


# Reconstructed HT (2)

(all jets Et sum in default PAT)

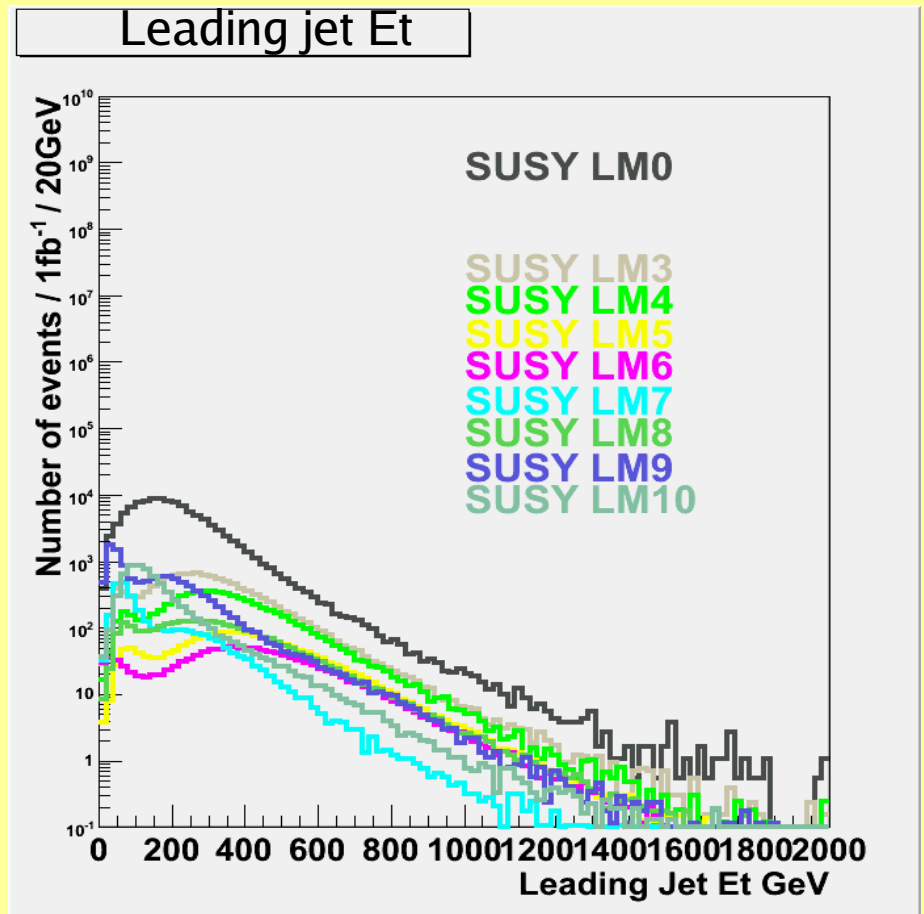
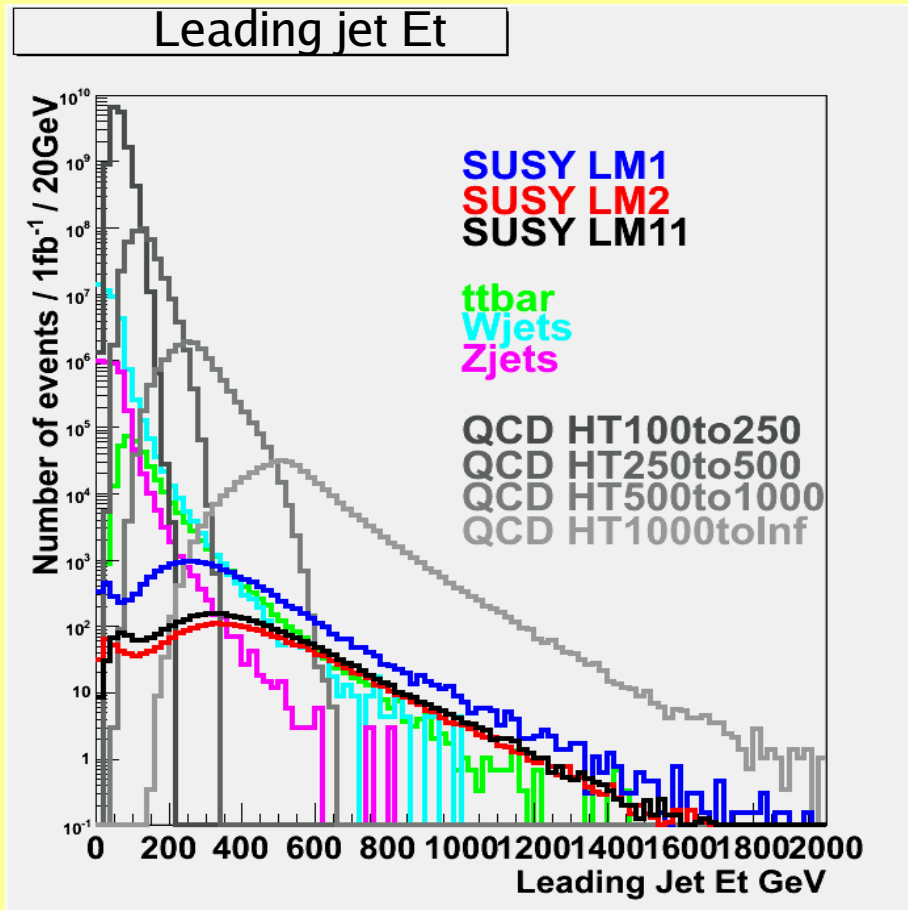
With basic criteria:

- $\tau$  pair requirement, both with  $P_t > 5$  GeV/c (PAT default) and  $|\eta| < 2.0$
- MET > 200 GeV
- Leading jet Et > 50 GeV



# Reconstructed Leading Jet Et (1)

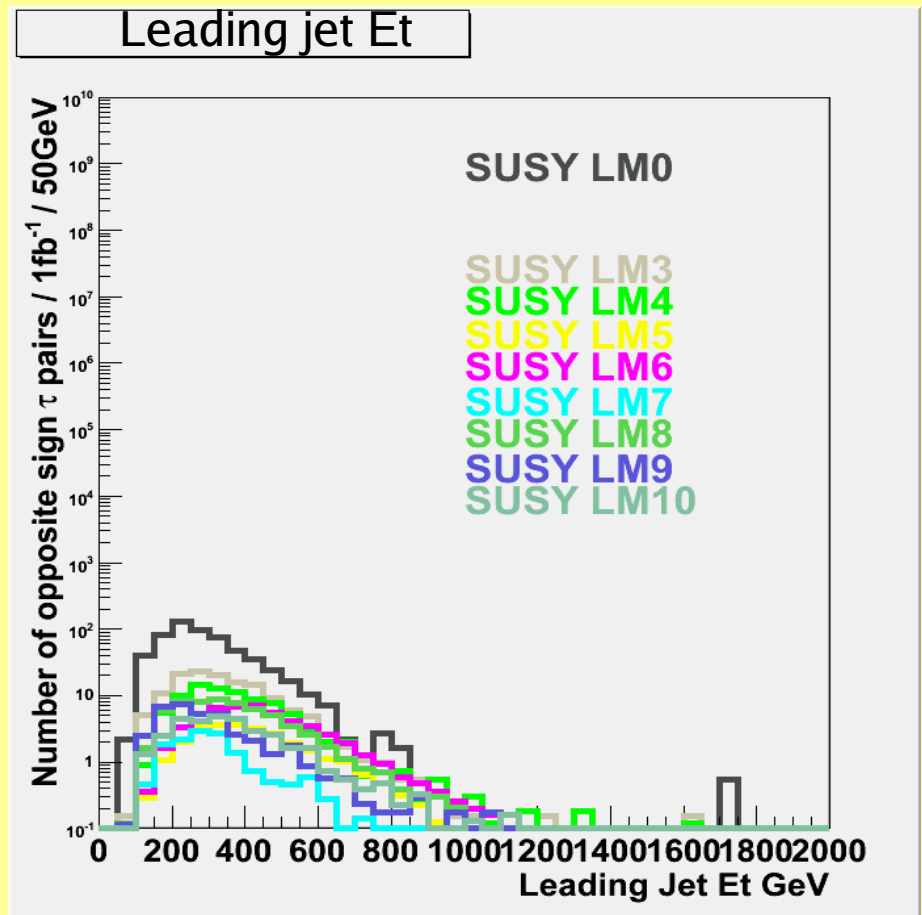
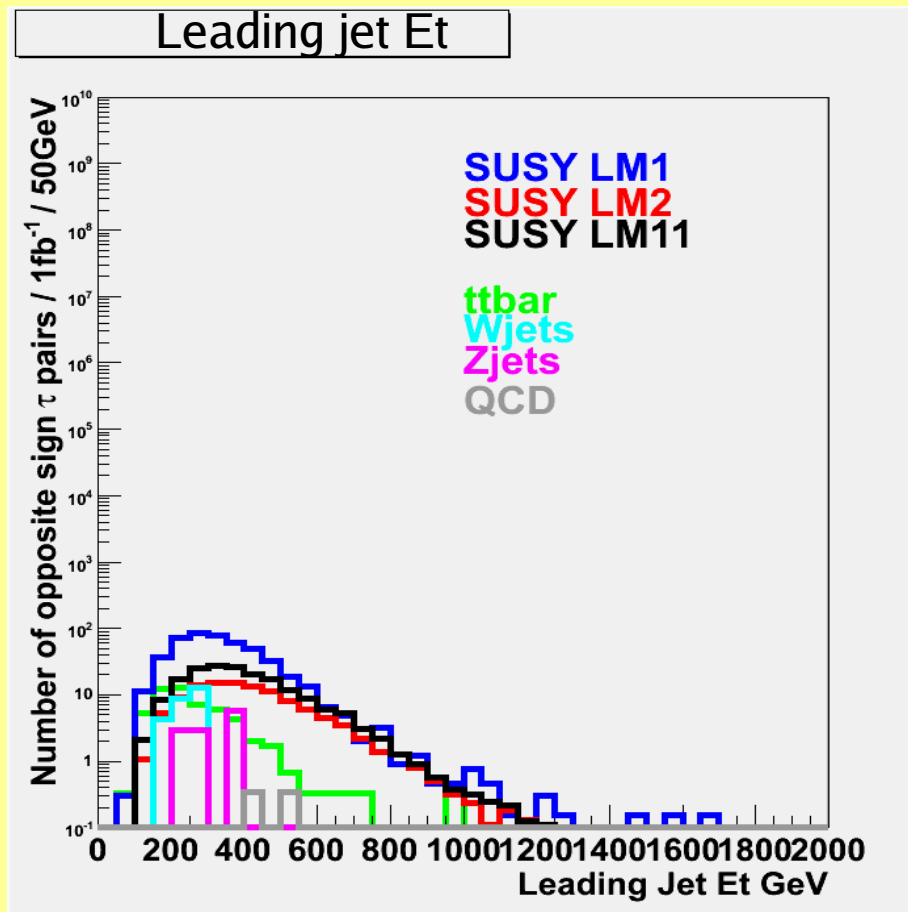
Without any cut  
(They are the leading jet in PAT default outputs.)



# Reconstructed Leading Jet Et (2)

With basic criteria:

- $\tau$  pair requirement, both with  $P_t > 5$  GeV/c (PAT default) and  $|\eta| < 2.0$
- MET > 200 GeV
- HT > 500 GeV



# Optimization method (tests for statistical effects)

$$S = \#(\text{LMx opposite sign } \tau \text{ pairs}) - \#(\text{LMx same sign } \tau \text{ pairs})$$

$$\begin{aligned} S + B = & \#(\text{LMx opposite sign } \tau \text{ pairs}) + \#(\text{LMx same sign } \tau \text{ pairs}) \\ & + \#(\text{ttbar opposite sign } \tau \text{ pairs}) + \#(\text{ttbar same sign } \tau \text{ pairs}) \\ & + \#(\text{Wjets opposite sign } \tau \text{ pairs}) + \#(\text{Wjets same sign } \tau \text{ pairs}) \\ & + \#(\text{Zjets opposite sign } \tau \text{ pairs}) + \#(\text{Zjets same sign } \tau \text{ pairs}) \\ & + \#(\text{QCD opposite sign } \tau \text{ pairs}) + \#(\text{QCD same sign } \tau \text{ pairs}) \end{aligned}$$

**Maximizing the significance,  $S / \sqrt{S+B}$ .**

Note.0: This is not taking other  $\tau^+\tau^-$  pair backgrounds (in signal LMx) into account. (e.x.  $Z^0 \rightarrow \tau^+\tau^-$  etc.)

Note.1: This is assuming that the same sign pair roughly corresponds to the combinatorial background.

(Please see backup slides)

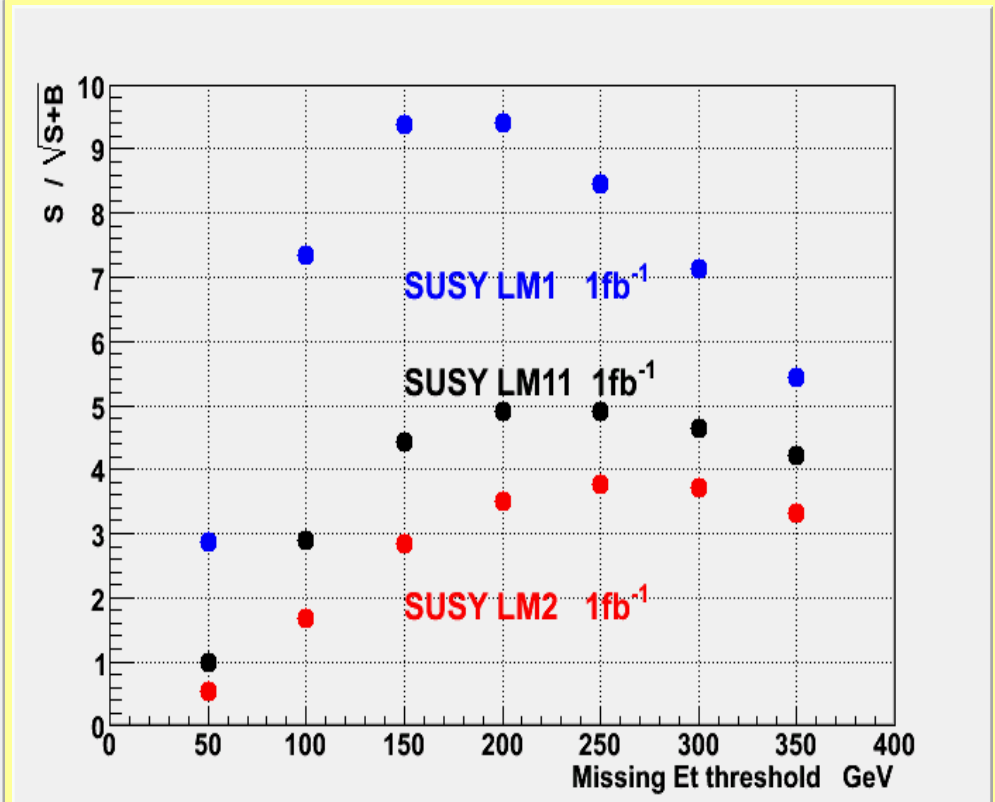
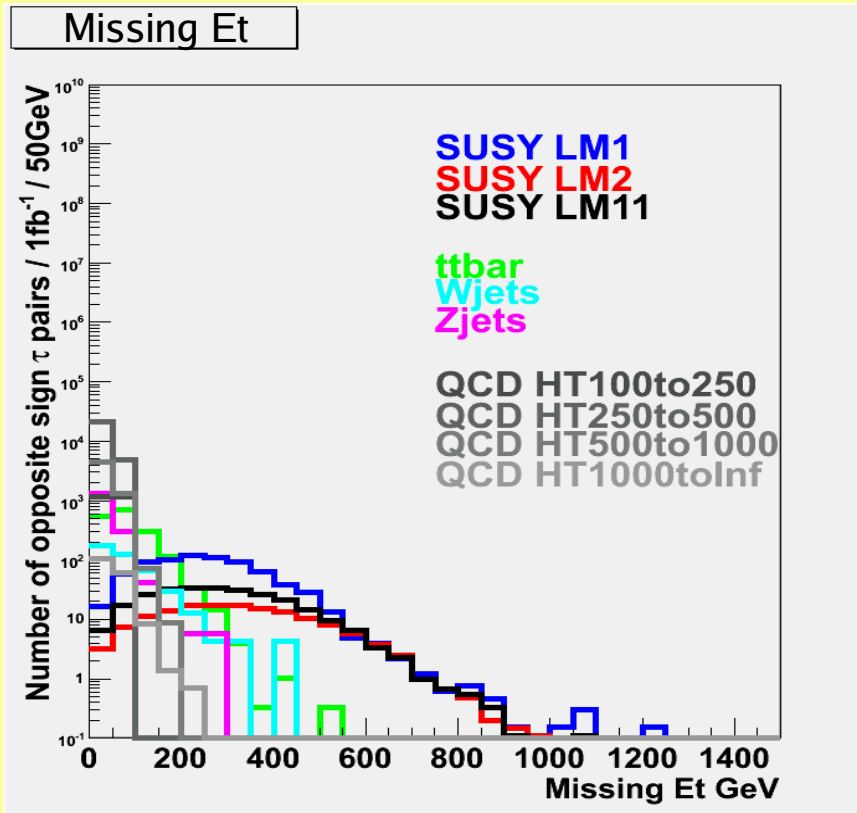
Note.2: All MC are normalized to  $1\text{fb}^{-1}$

Note.3: This considers only statistical uncertainty.

# Missing Et optimization test

With basic cuts:

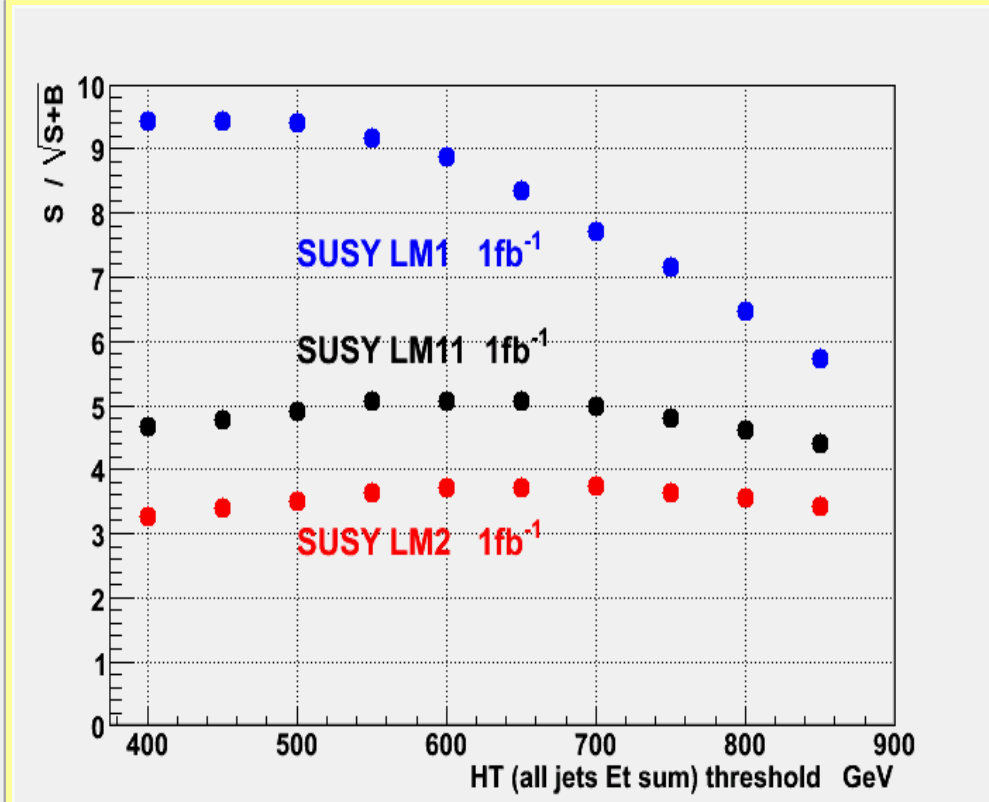
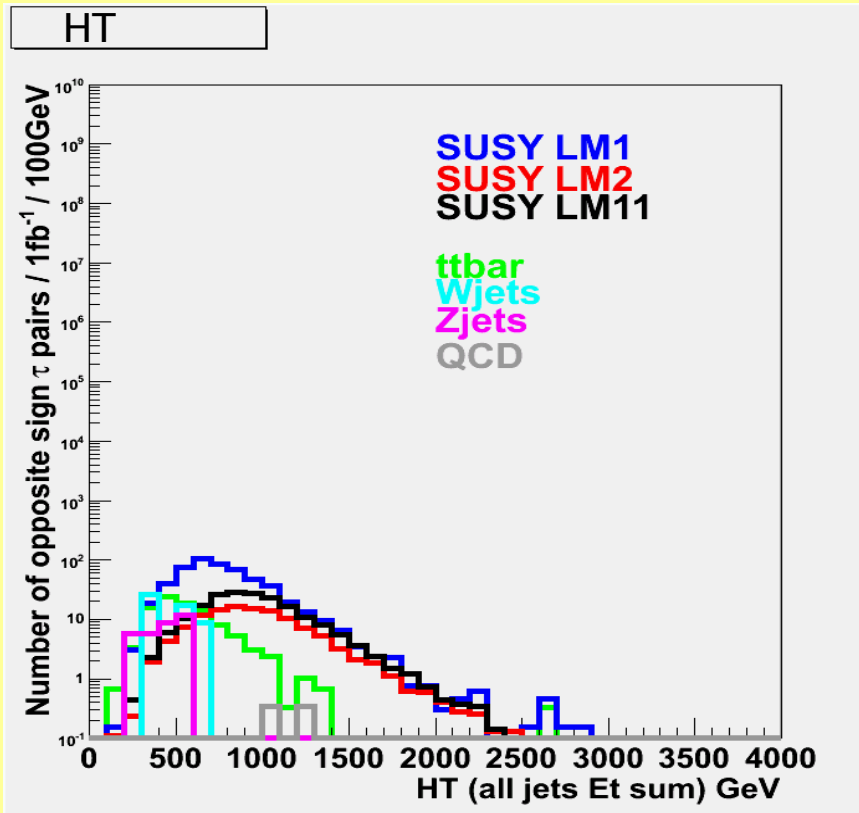
- Tau pair requirement, both with  $P_t > 5 \text{ GeV}/c$  (PAT default),  $|\eta| < 2.0$
- $HT > 500 \text{ GeV}$
- Leading jet  $E_t > 50 \text{ GeV}$



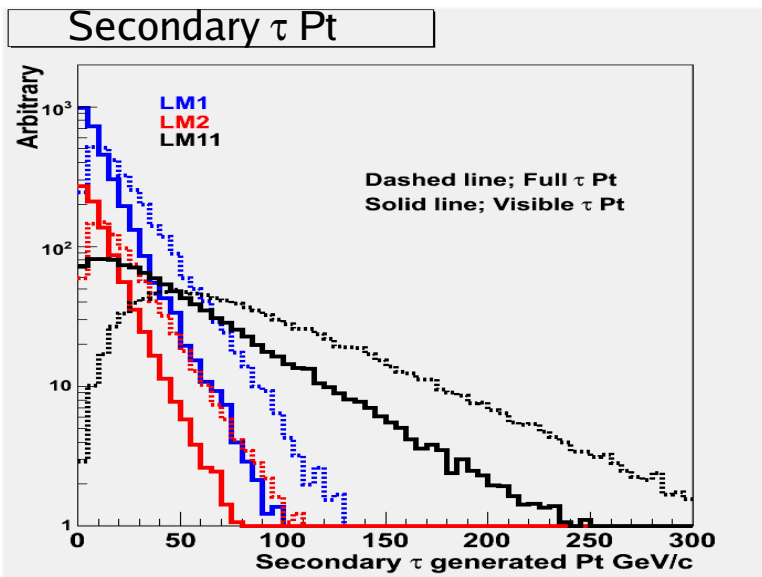
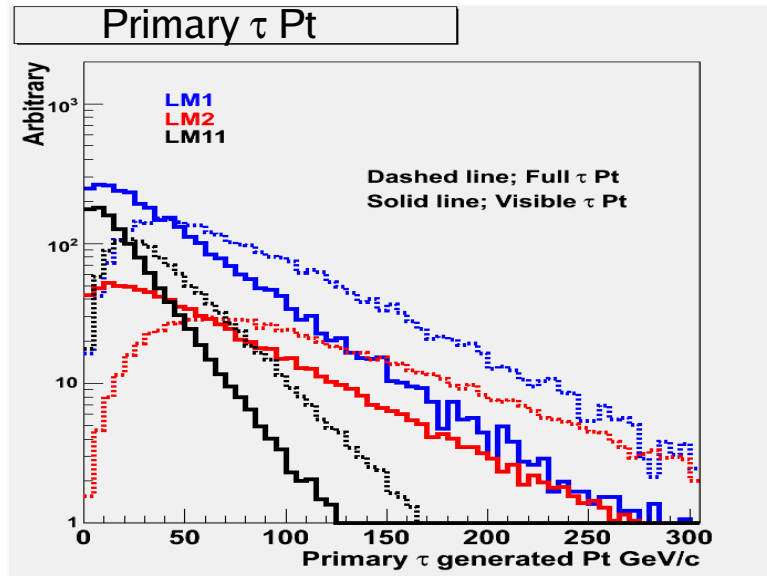
# HT optimization test

With basic cuts:

- Tau pair requirement, both with  $P_t > 5$  GeV/c (PAT default),  $|\eta| < 2.0$
- MET > 200 GeV
- Leading jet Et > 50 GeV

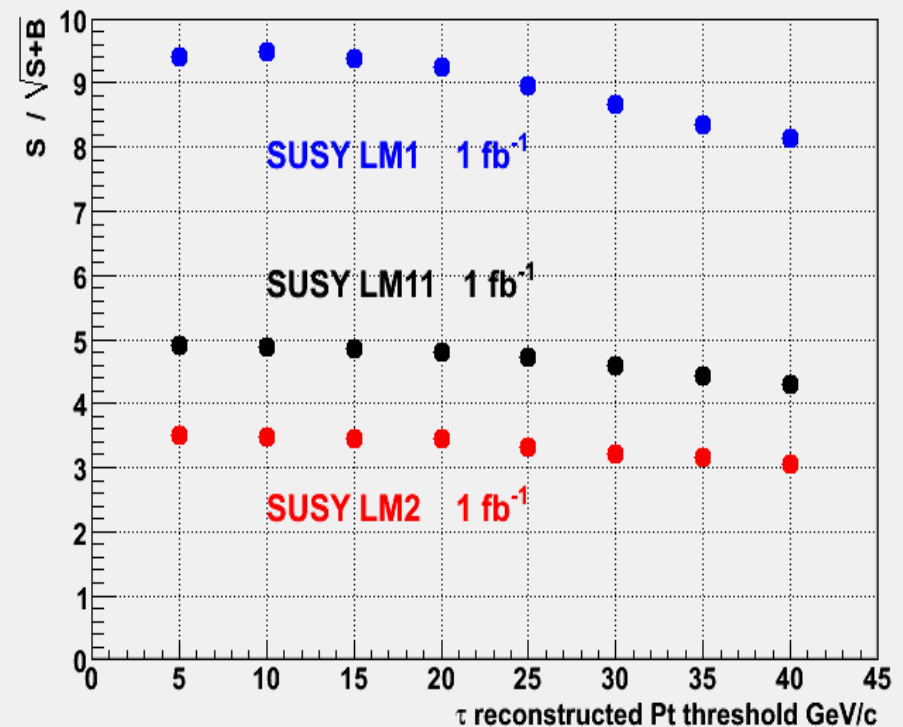


# $\tau$ Pt optimization test



## With basic cuts:

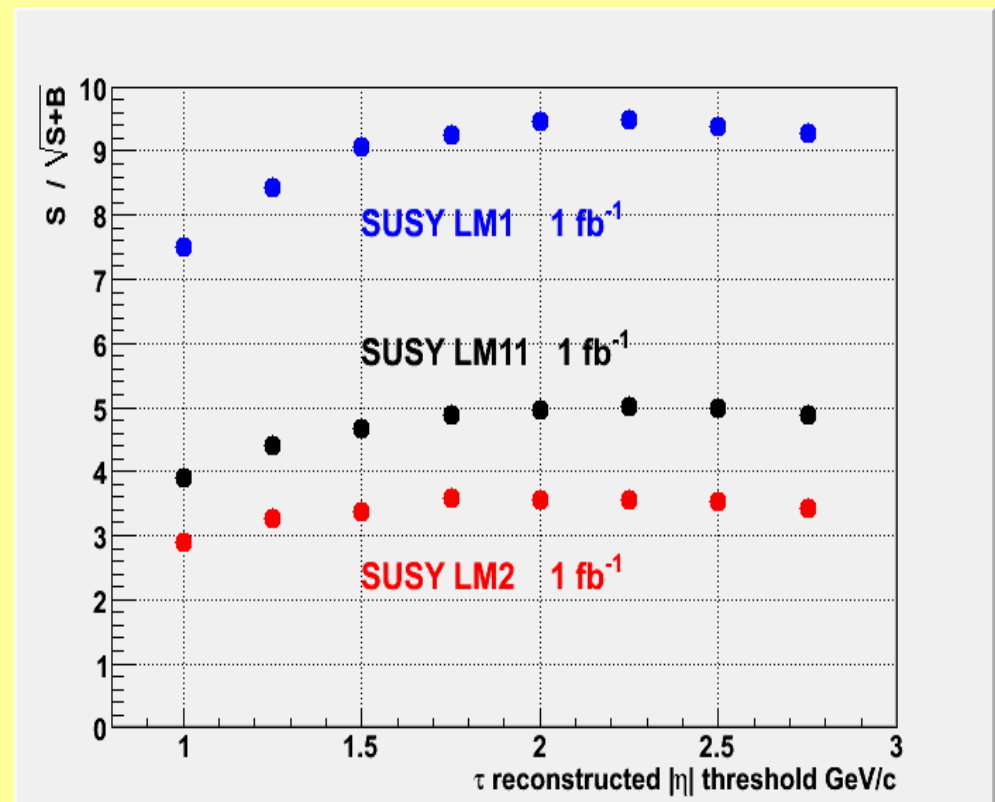
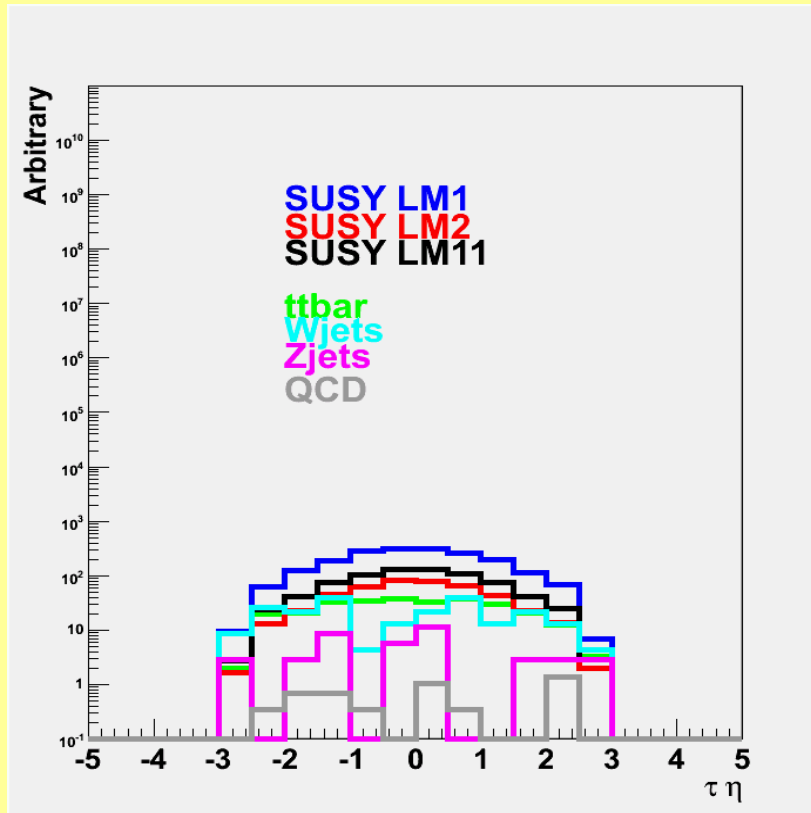
- Tau pair requirement, both with  $|\eta| < 2.0$
- Another  $\tau$  Pt  $> 5$  GeV/c (PAT default)
- MET  $> 200$  GeV
- HT  $> 500$  GeV
- Leading jet Et  $> 50$  GeV



# $\tau$ pseudo-rapidity optimization test

With basic cuts:

- Tau pair requirement, both with  $P_t > 5$  GeV/c (PAT default)
- MET > 200 GeV
- HT > 500 GeV
- Leading jet Et > 50 GeV





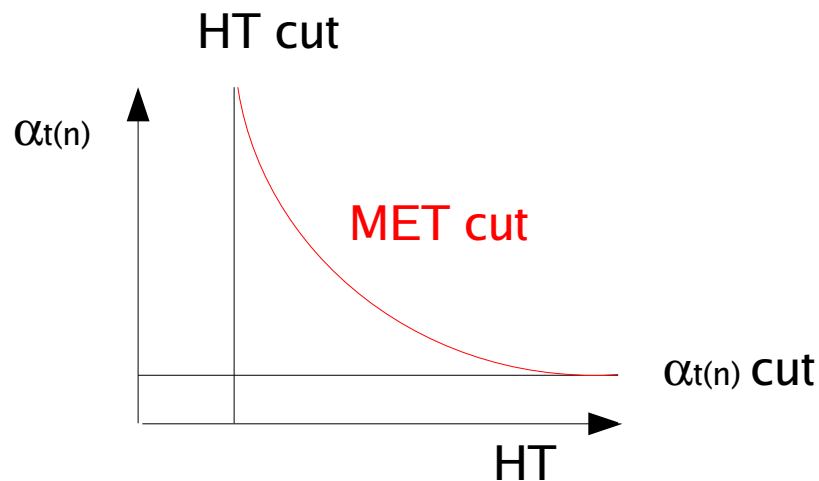
# $\alpha_t$ for n-jets (1)

The  $\alpha_t$  for n-jets is effectively just a function of HT and MET.

$$\begin{aligned}\alpha_t(n) &= HT / \sqrt{HT^2 - MET^2} \\ &= 1 / \sqrt{1 - (MET / HT)^2}\end{aligned}$$

→ In fact, this is effectively just MET/HT.

Schematic view

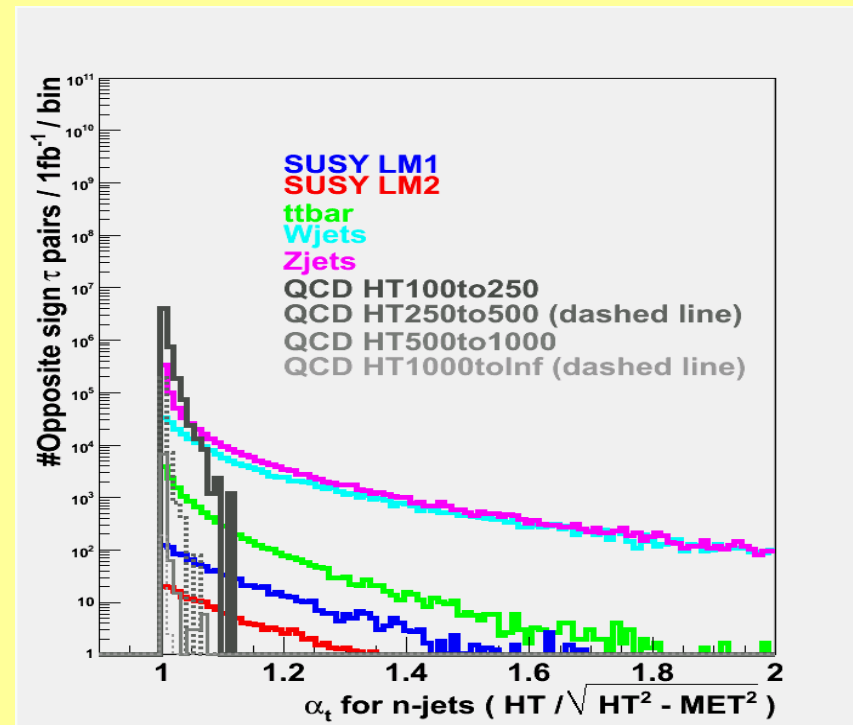
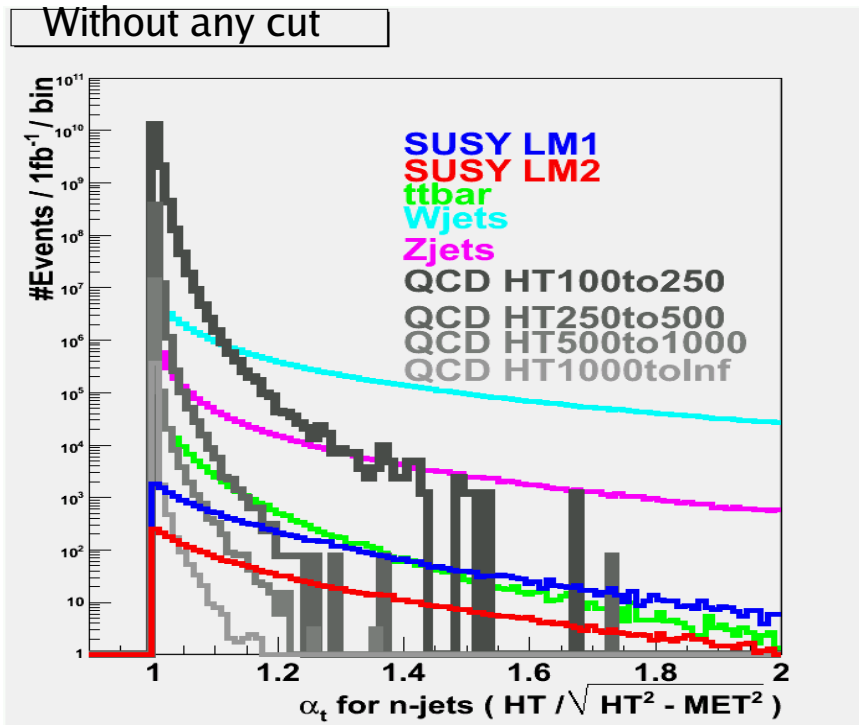


Note: A mis-measurement of the leading  $E_t$  will change both the MET and the HT with the same direction. Thus, a variable which divides one by the other is stable somehow.

# $\alpha_t$ for n-jets (2)

With basic cuts:

$|\eta(\tau)| < 2.5$ , one  $Pt(\tau) > 20$  GeV/c and another  $Pt(\tau) > 5$  GeV/c,

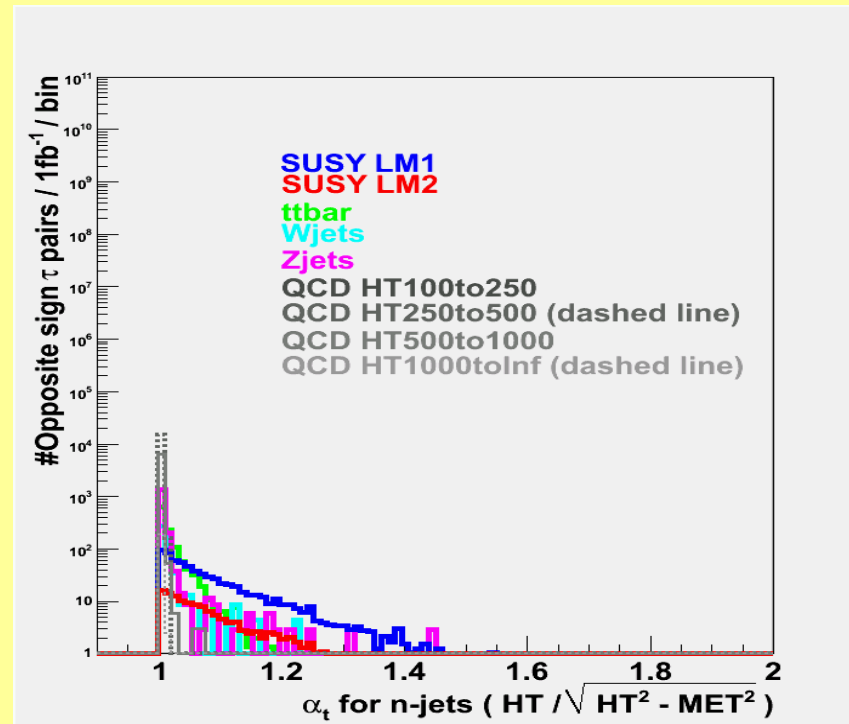
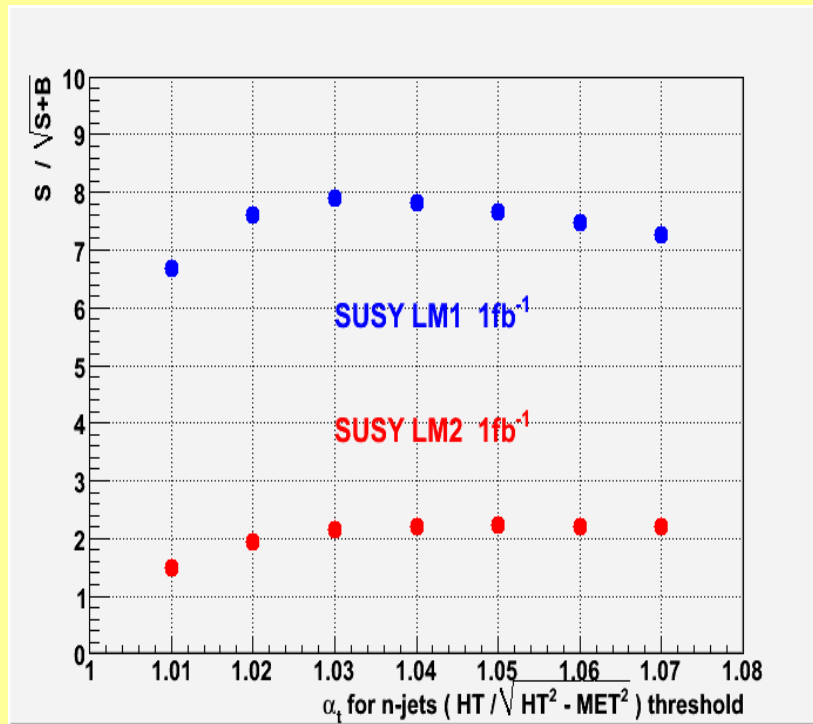


# $\alpha_t$ for n-jets (3)

With HT cut:

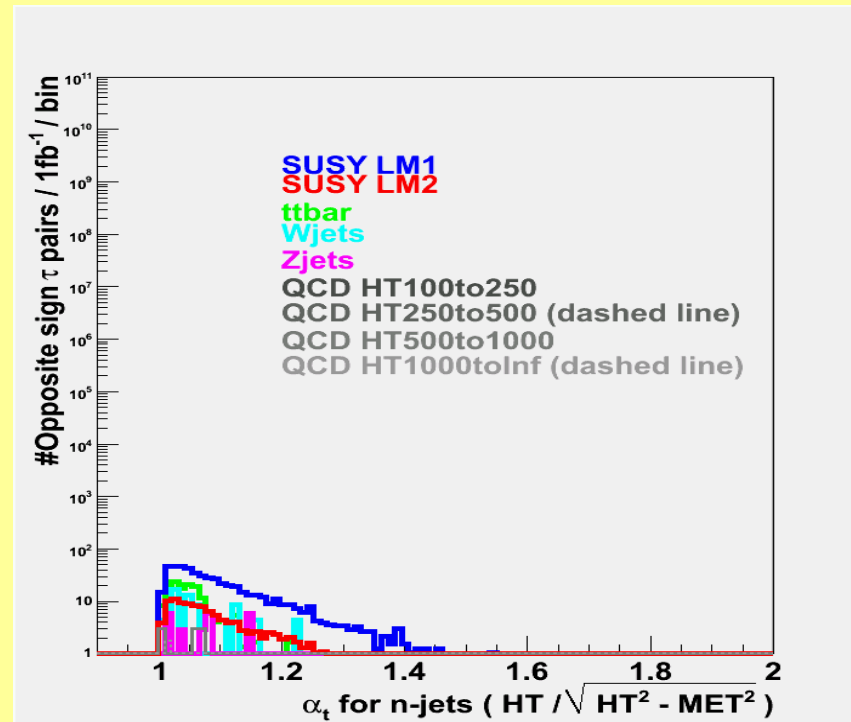
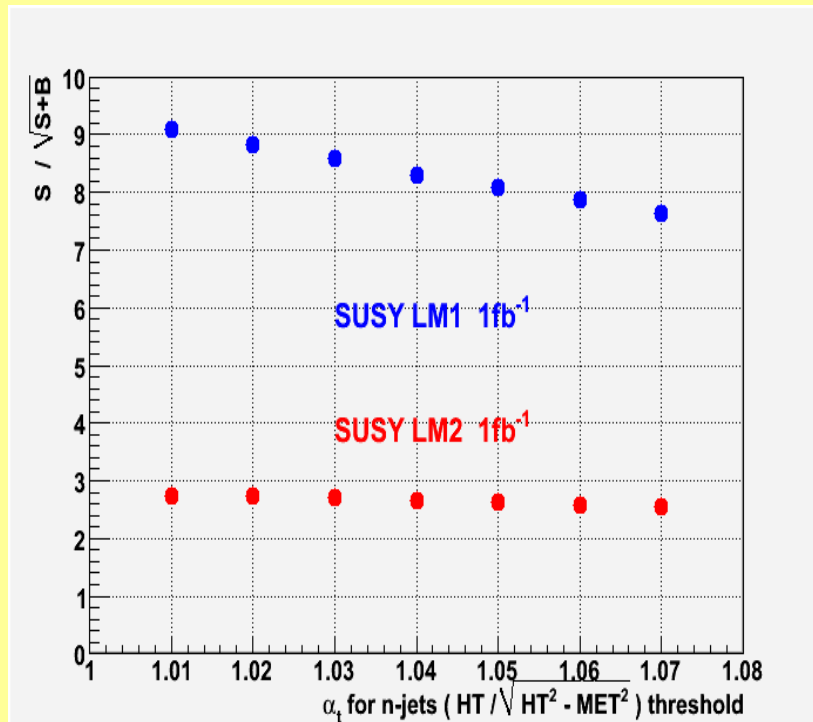
$|\eta(\tau)| < 2.5$ , one  $Pt(\tau) > 20$  GeV/c and  
another  $Pt(\tau) > 5$  GeV/c,

Leading jet  $E_t > 150$  GeV, HT > 500 GeV



# $\alpha_t$ for n-jets (4)

With HT cut and **after MET cut:**  
 $|\eta(\tau)| < 2.5$ , one  $Pt(\tau) > 20$  GeV/c and  
 another  $Pt(\tau) > 5$  GeV/c,  
 Leading jet  $E_t > 150$  GeV,  $HT > 500$  GeV  
**MET > 150GeV**



Statistical point of view, the  $\alpha_t$  (n) does not gain (compared with the MET cut).

# Backup;

## Summary table (SUSY LMx)

	LM1		LM2		LM11	
#events used	105k events		130k events		208k events	
Cross section	16.1 pb		2.4 pb		3.2 pb	
Luminosity correspond	6.51 fb <sup>-1</sup>		54.3 fb <sup>-1</sup>		64 fb <sup>-1</sup>	
Generated #signal decay	20094		47526		72281	
	opposite sign $\tau$ pairs	same sign $\tau$ pairs	Opposite sign $\tau$ pairs	Same sign $\tau$ pairs	Opposite sign $\tau$ pairs	Same sign $\tau$ pairs
PAT $\tau$ pairs	8127	3683	12191	6045	26698	13179
$ \eta(\tau)  < 2.0$	(86%)6956	(81%)2986	(88%)10761	(85%)5125	(87%)23203	(84%)11035
<b>MET &gt; 200 GeV</b>	<b>(51%)3521</b>	<b>(52%)1552</b>	<b>(61%)6541</b>	<b>(61%)3114</b>	<b>(54%)12506</b>	<b>(54%)5961</b>
HT > 500 GeV	(88%)3112	(89%)1379	(94%)6163	(95%)2965	(95%)11932	(96%)5738
Leading Jet Et > 50 GeV	(100%)3112	(100%)1379	(100%)6163	(100%)2965	(100%)11932	(100%)5738
Normalized to 1 fb <sup>-1</sup>	478 +/- 9	212 +/- 6	113 +/- 2	55 +/- 1	186 +/- 2	90 +/- 2

Note; The leading jet Et requirement is not effective after the HT cut. (please see backup slides.)  
 I'm applying a minimum cut since I suppose that a standard trigger will be using some cut

# Backup;

## Summary table (backgrounds (1))

	TTJets		Wjets		Zjets	
#events used Cross section Luminosity correspond	947 k events 317 pb 3.0 fb <sup>-1</sup>		9.26 M events 40000 pb 0.23 fb <sup>-1</sup>		1.26 M events 3700 pb 0.34 fb <sup>-1</sup>	
	TTJets opposite sign	TTJets same sign	Wjets opposite sign	Wjets same sign	Zjets opposite sign	Zjets same sign
PAT $\tau$ pairs $ \eta(\tau)  < 2.0$	44762 (78%)34751	13897 (67%)9260	68328 (62%)42337	42784 (59%)25304	273434 (70%)190478	17462 (59%)10331
<b>MET &gt; 200 GeV</b>	<b>(0.8%) 294</b>	<b>(1.1%)98</b>	<b>(0.04%)14</b>	<b>(0.03%)6</b>	<b>(0.006%)11</b>	<b>(&lt;0.03%) 0</b>
HT > 500 GeV	(55%) 162	(63%)62	(43%)6	0	(40%)4	0
Leading Jet Et > 50 GeV	(100%)162	(100%)62	(100%)6	0	(100%)4	0
Normalized to 1 fb <sup>-1</sup>	54 +/- 5	21 +/- 3	26 +/- 11	(<10)	12 +/- 6	(<7)

# Backup;

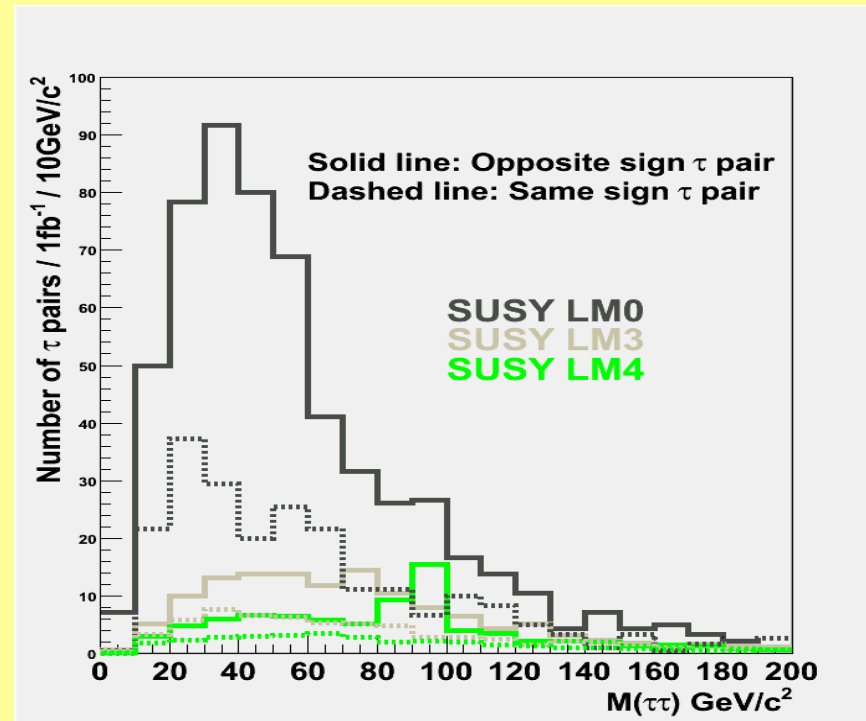
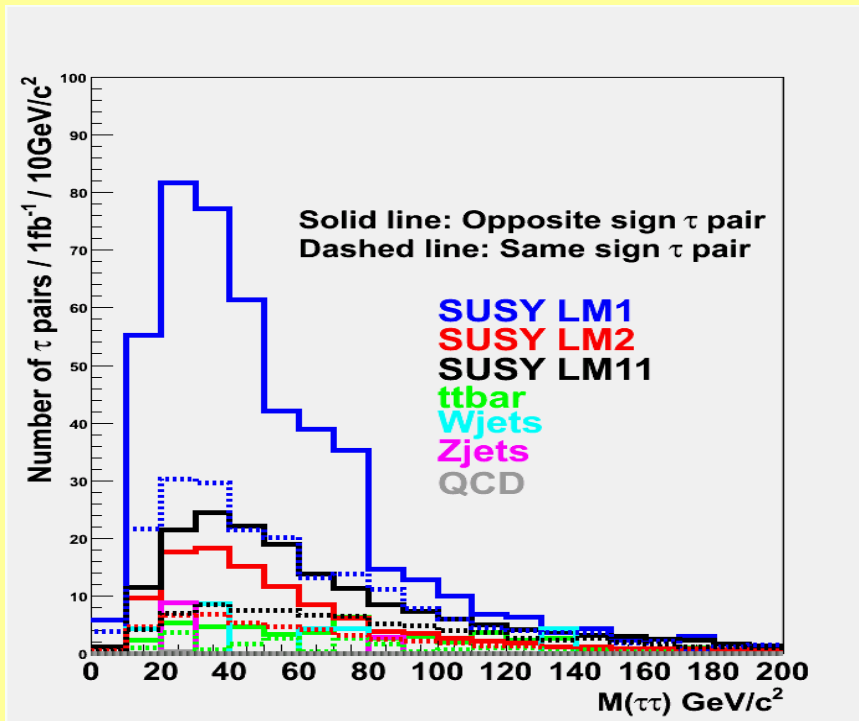
## Summary table (backgrounds (2))

	QCD100to250		QCD250to500		QCD500to1000		QCD1000toInf	
#events used	12.7 M events		5.06 M events		4.69 M events		1.07 M events	
Cross section	15 $\mu\text{b}$		400 nb		14000 pb		370 pb	
Luminosity correspond	0.84 $\text{pb}^{-1}$		13 $\text{pb}^{-1}$		335 $\text{pb}^{-1}$		2.88 $\text{fb}^{-1}$	
	Opposite sign	Same sign	Opposite sign	Same sign	Opposite sign	Same sign	Opposite sign	Same sign
PAT $\tau$ pairs $ \eta(\tau)  < 2.0$	8382 (52%) 4372	7606 (50%) 3815	4314 (51%) 2219	3917 (50%) 1972	3737 (52%) 1956	3577 (51%) 1837	845 (60%) 510	767 (54%) 416
<b>MET &gt; 200 GeV</b>	<b>(&lt;0.06%) 0</b>	<b>(&lt;0.07%) 0</b>	<b>(&lt;0.2%) 0</b>	<b>(&lt;0.2%) 0</b>	<b>(&lt;0.2%) 0</b>	<b>(&lt;0.2%) 0</b>	<b>(0.4%) 2</b>	<b>(&lt;0.6%) 0</b>
HT > 500 GeV	0	0	0	0	0	0	2	0
Leading Jet Et > 50 GeV	0	0	0	0	0	0	2	0
Normalized to 1 $\text{fb}^{-1}$	(<1)	(<1)	(<1)	(<1)	(<1)	(<1)	1	(<1)

Note: In order to normalize to  $1\text{fb}^{-1}$ , I estimated by probabilities from Missing Et distributions without  $\tau$  requirement. It means that this assumes less correlation between  $\tau$  events and general events. (Please see backup slides.)

# M( $\tau\tau$ ) distributions

- $|\eta(\tau)| < 2.0$ ,  $Pt(\tau) > 5$  GeV/c,
- $HT > 500$  GeV,
- $MET > 200$  GeV,
- Leading jet  $E_t > 50$  GeV



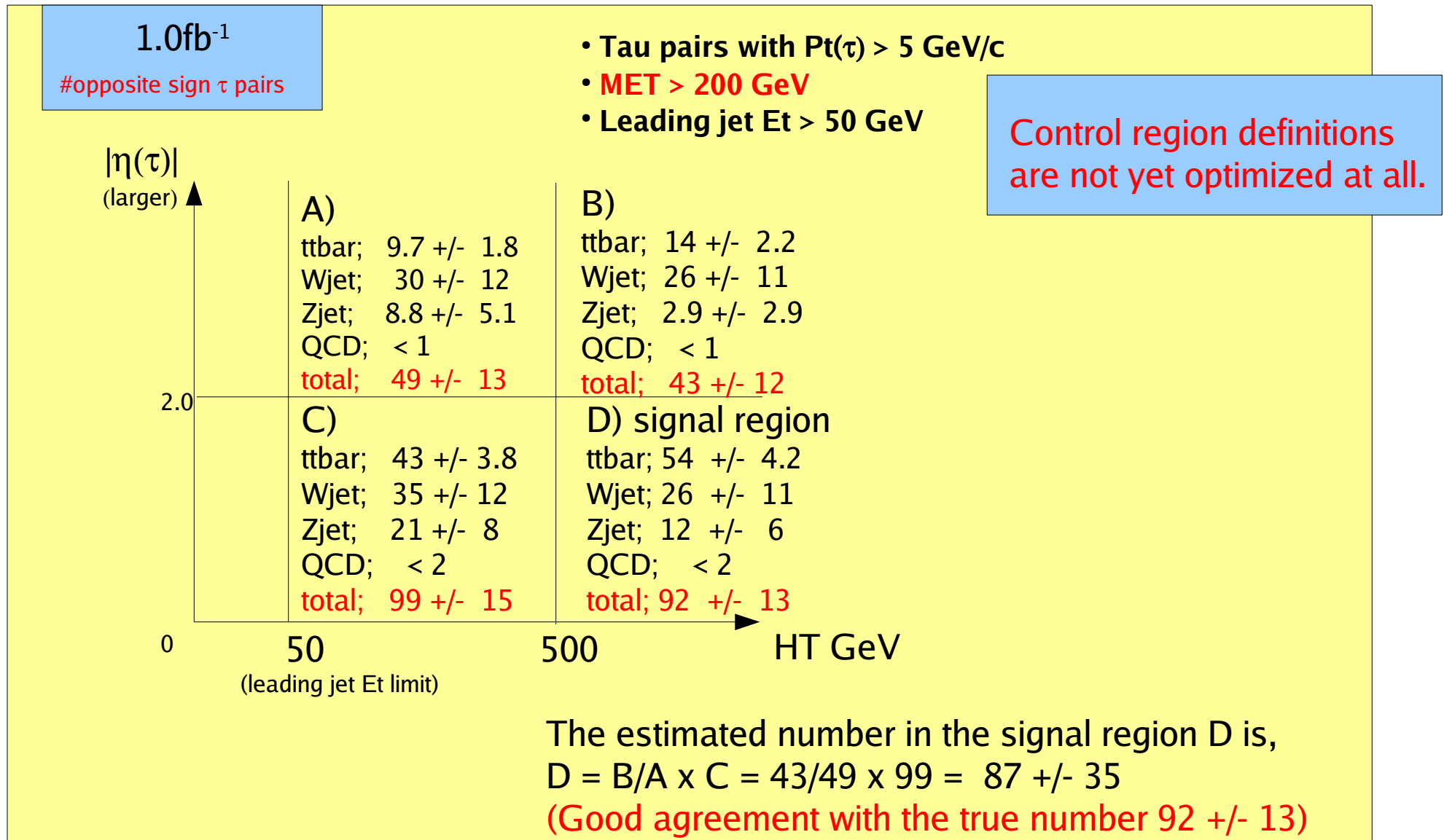
Note.1; The peak around 90 GeV in the LM4 would be a double misidentification of  $Z^0 \rightarrow e^+e^-$  (or  $Z^0 \rightarrow \mu^+\mu^-$ ) as  $Z^0 \rightarrow \tau^+\tau^-$ . Those fake  $\tau$  contaminations should be estimated.

Note.2;  $\tau^+\tau^-$  pair can be generated without stau. (For example,  $\tilde{\chi}_2^0 \rightarrow \tau^+\tau^-\tilde{\chi}_1^0$  or  $Z^0 \rightarrow \tau^+\tau^-$  etc.)  
For the exclusive stau search, we have to estimate these backgrounds.



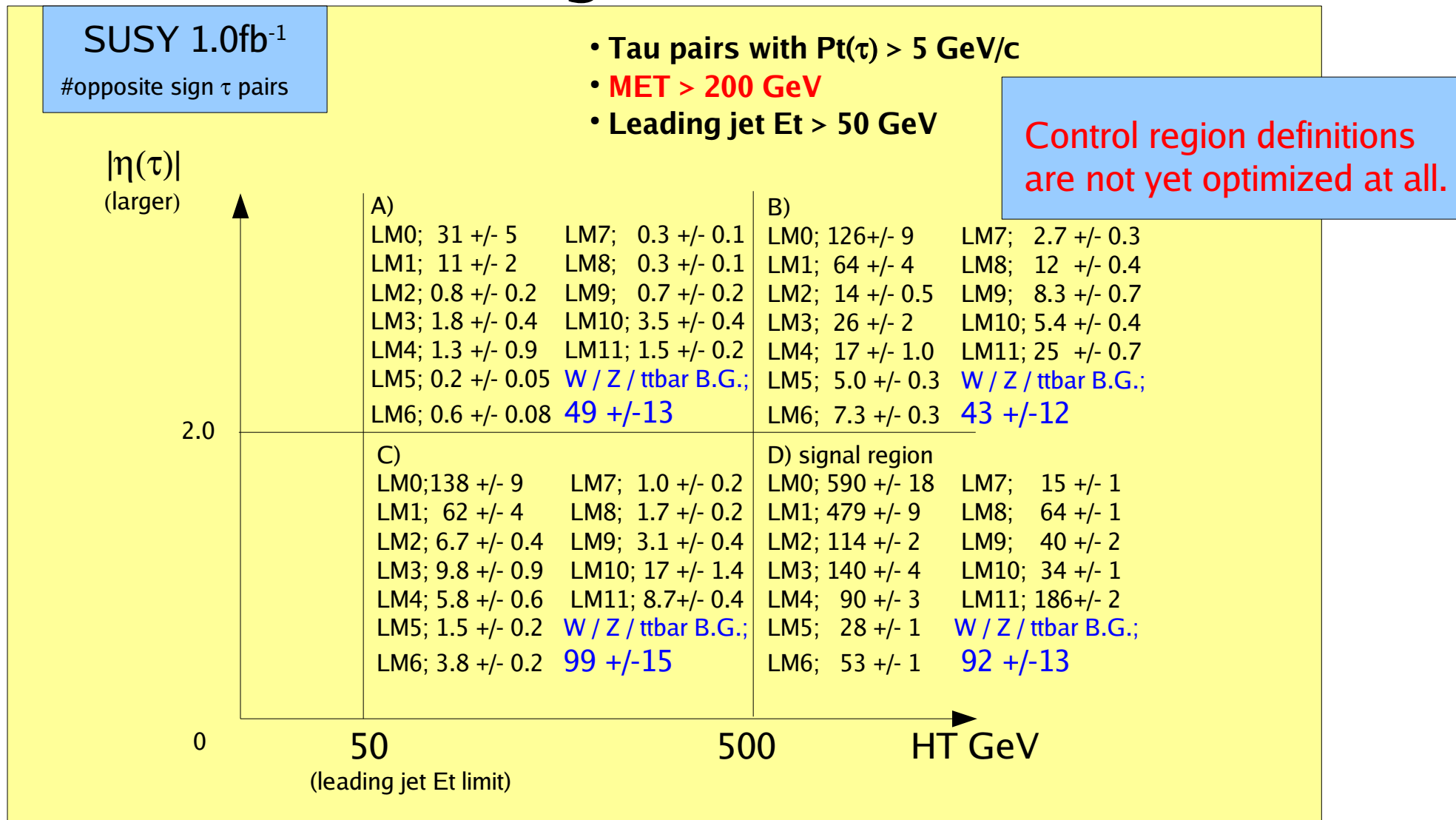
# ABCD method test (under study) (1)

## [ $t\bar{t}$ bar, W jets, Z jets and QCD at $1\text{fb}^{-1}$ ]



# ABCD method test (under study) (2)

## [SUSY signal contamination]



Signal SUSY contaminate control regions. (It depends on the mSUGRA parameter points.)

# Status summary

- We tested basic criteria in di-tau final states. (in 10 TeV MC)
- We tested a less correlated ABCD method,  $\eta(\tau)$  vs HT.
  - It works well for SM backgrounds. However, signal SUSY events contaminate background control regions.
- Next interests
  - Optimization of control region definition
  - Using other variable combination for an ABCD method
  - Estimation of  $Z^0 \rightarrow \tau^+\tau^-$  background in signal SUSY events
  - Updating with 7 TeV MC

**Backups slides**

# Summary table

(very preliminary, just a current status)

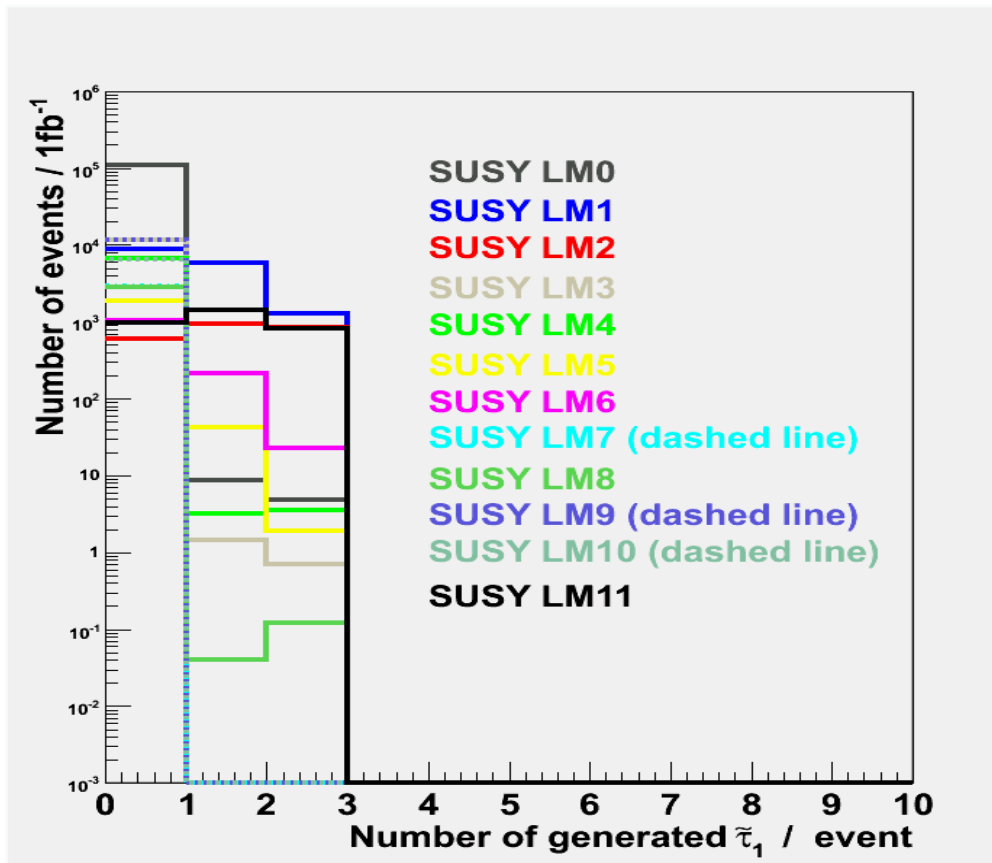
	Reconstructed SUSY	Reconstructed $t\bar{t}/W/Z$	Reconstructed SUSY + $t\bar{t}/W/Z$	Estimated $t\bar{t}/W/Z$ with SUSY contamination	Excess	Sigma (stat.)
LM0	590 +/- 18	92 +/- 13	682 +/- 22	501 +/- 103	181 +/- 105	1.7
LM1	479 +/- 9	92 +/- 13	581 +/- 16	287 +/- 77	294 +/- 79	3.7
LM2	114 +/- 2	92 +/- 13	206 +/- 13	121 +/- 43	85 +/- 45	1.9
LM3	140 +/- 4	92 +/- 13	232 +/- 14	148 +/- 50	84 +/- 52	1.6
LM4	90 +/- 3	92 +/- 13	182 +/- 14	125 +/- 45	57 +/- 47	1.2
LM11	186 +/- 2	92 +/- 13	278 +/- 13	145 +/- 50	133 +/- 52	2.6

Note.1; **Uncertainties of excess are dominant by W jet and Z jet MC statistics.**  
**(Therefore, significances are not prospects at  $1\text{fb}^{-1}$  in real data.)**

Note.2; The cut values (HT etc.) are optimized for the LM1 signal MC.

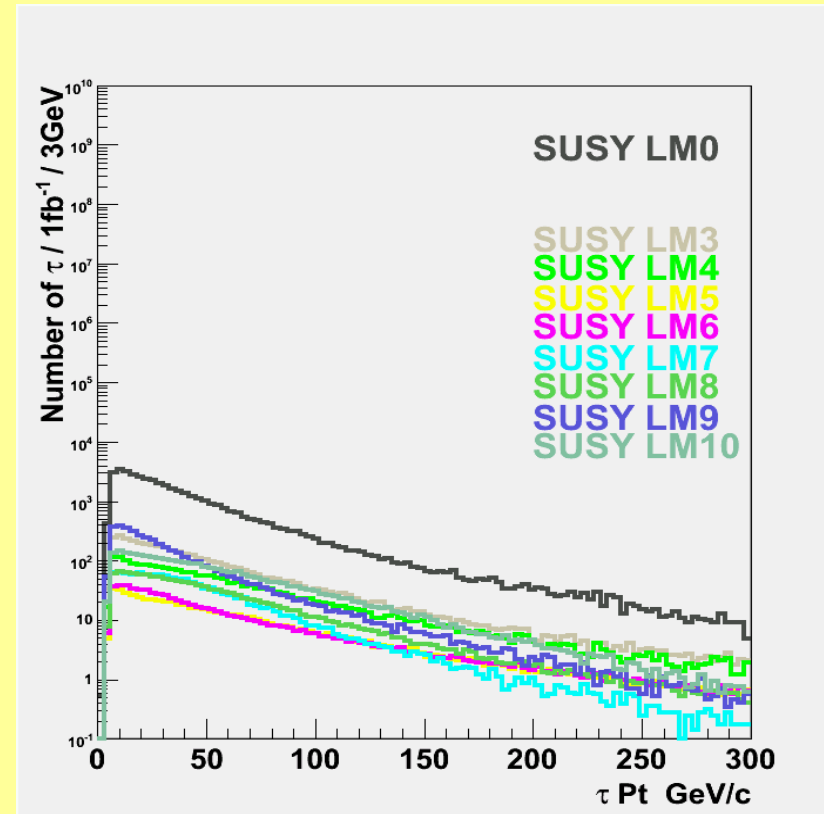
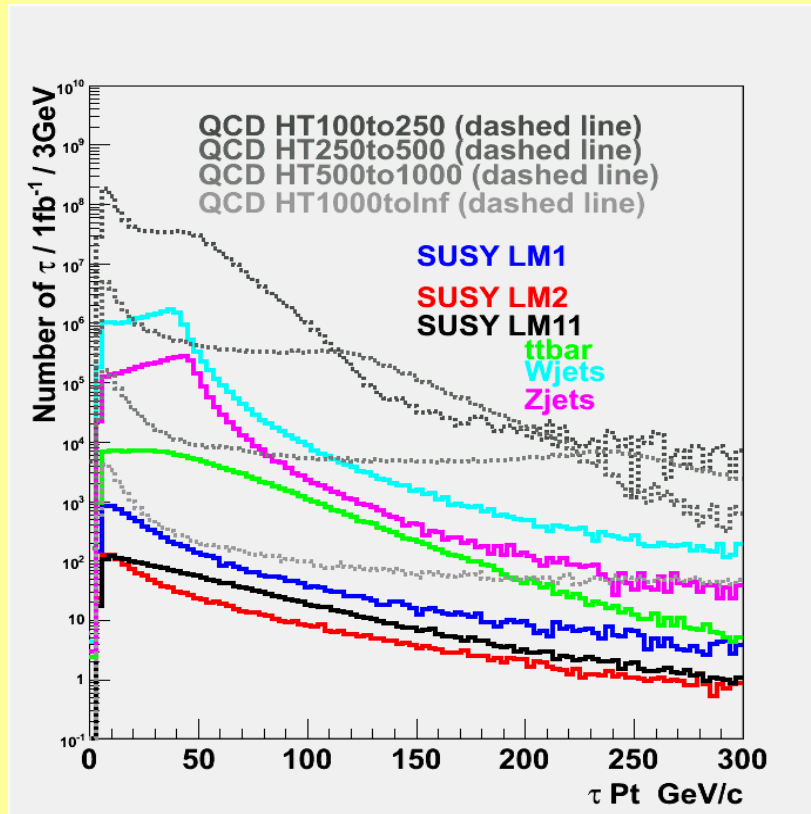
Note.3; Control regions are not yet optimized at all.

# Backup; All generated stau<sub>1</sub>



# Reconstructed PAT $\tau$ Pt spectrum (1)

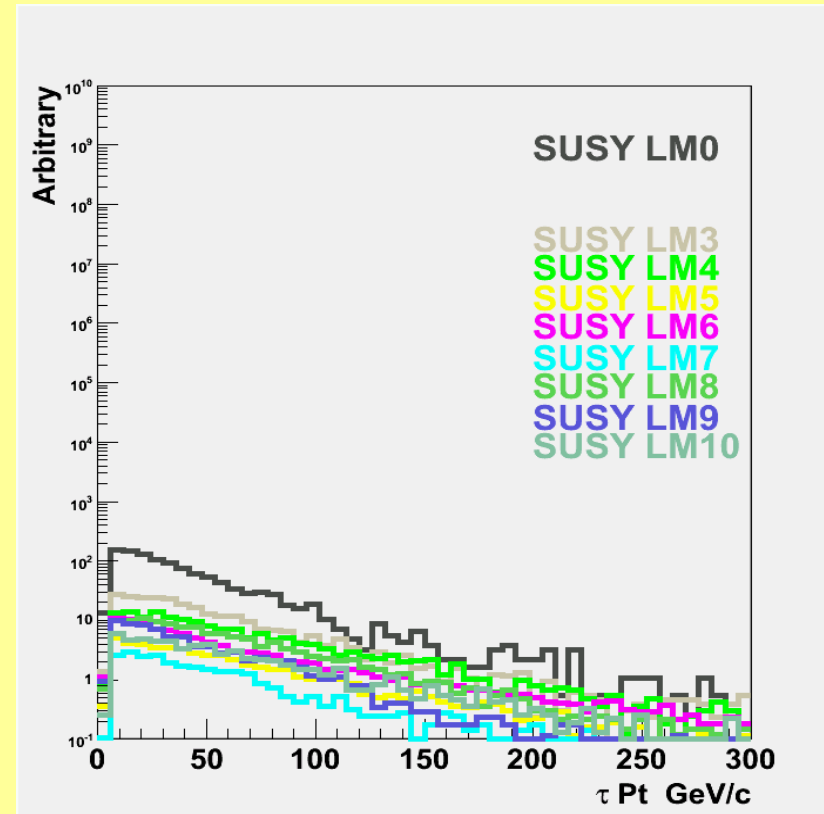
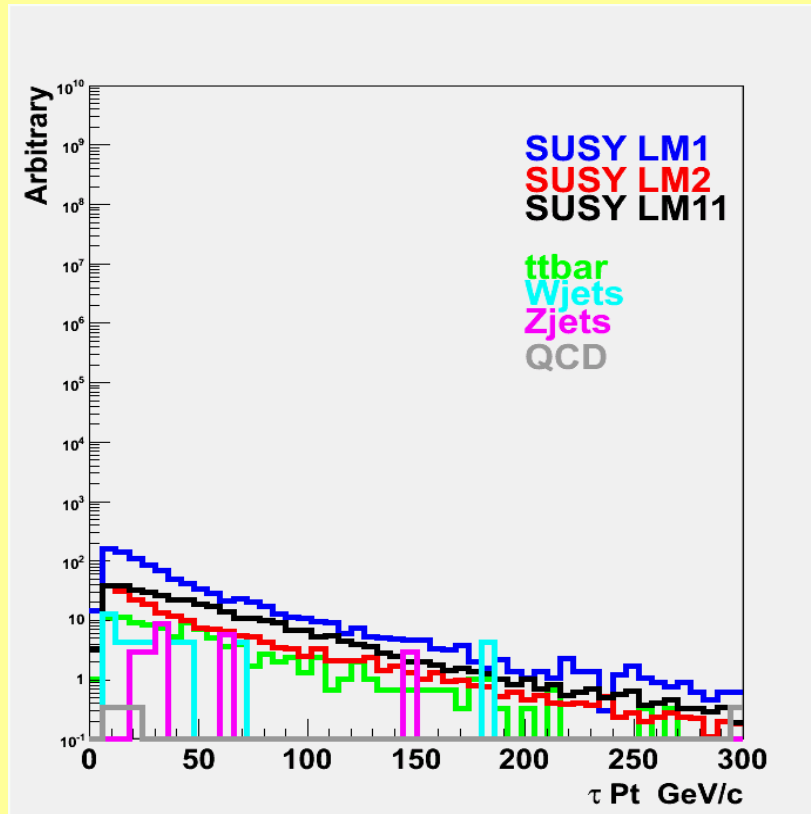
Without any cut  
(They are PAT default outputs.)



# Reconstructed PAT $\tau$ Pt spectrum (2)

With basic criteria:

- $\tau$  pair requirement, both with  $|\eta(\tau)| < 2.0$
- MET > 200 GeV,
- HT > 500 GeV
- Leading Jet Et > 50 GeV

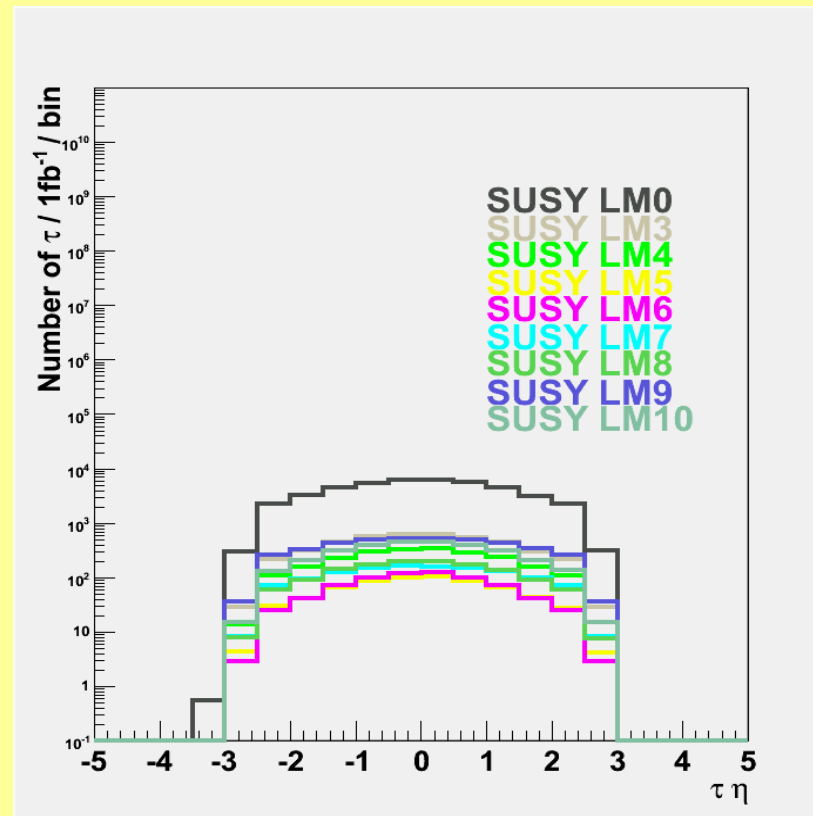
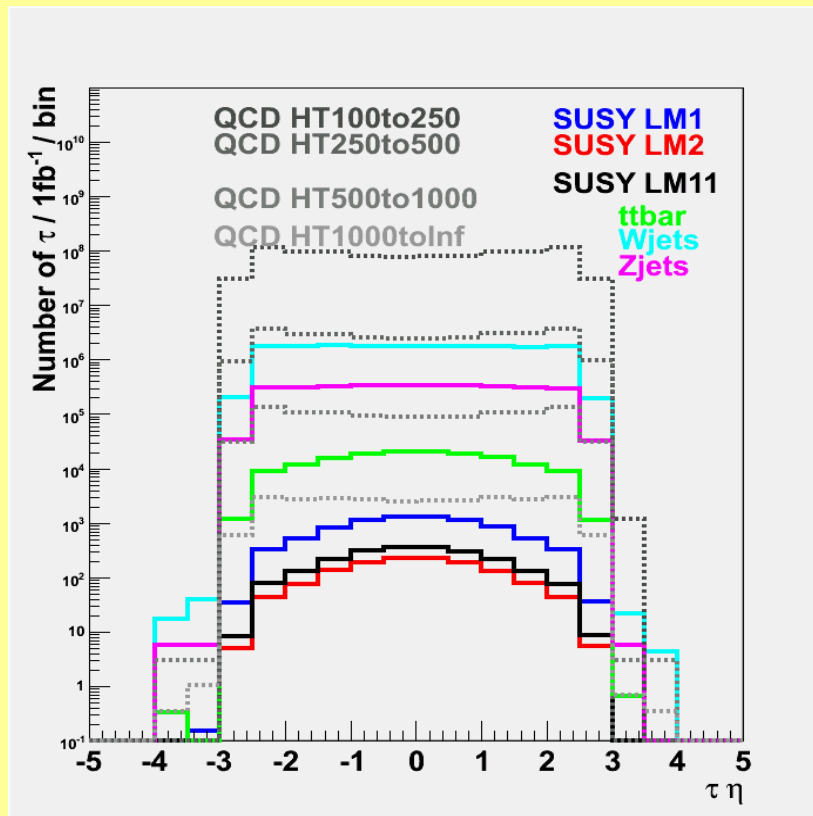


Note: Each di-tau has two different entries.



# Reconstructed PAT $\tau$ pseudo-rapidity (1)

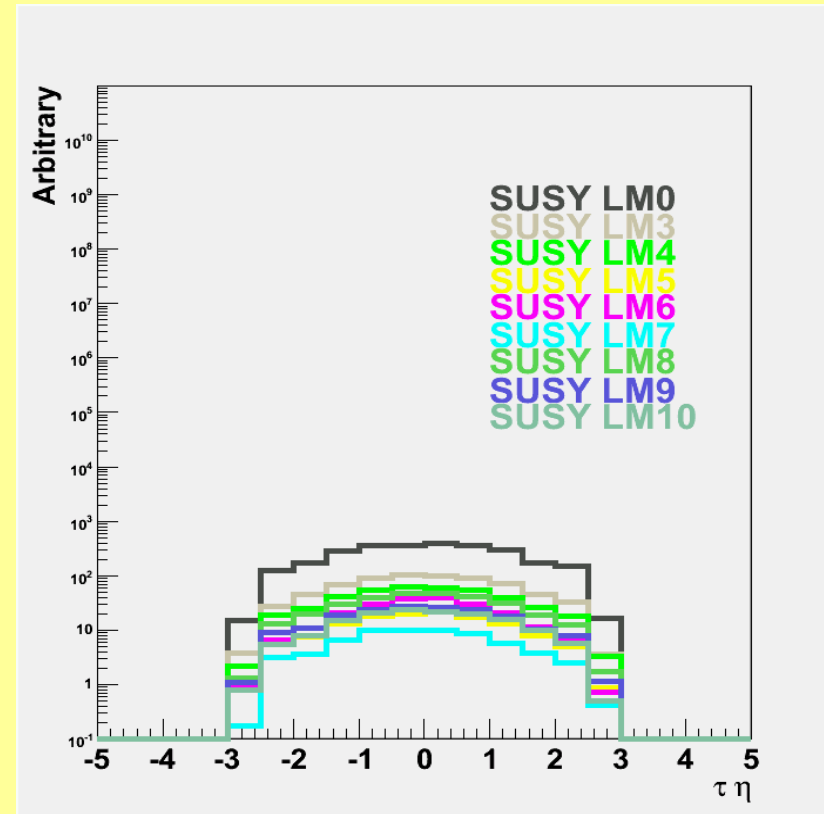
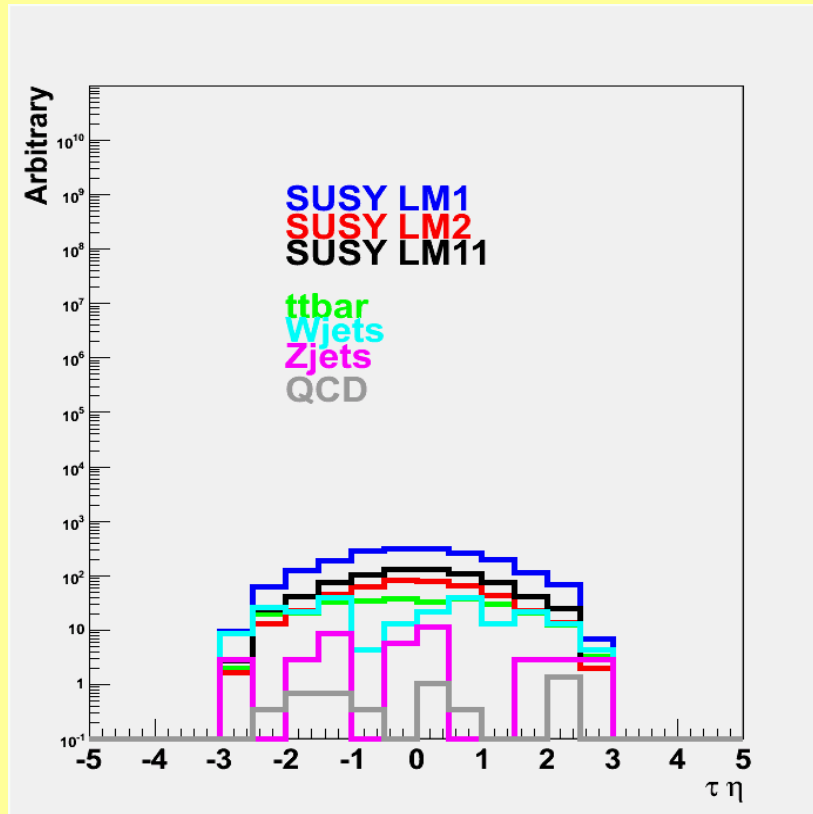
Without any cut  
(They are PAT default outputs.)



# Reconstructed PAT $\tau$ pseudo-rapidity (2)

With basic criteria:

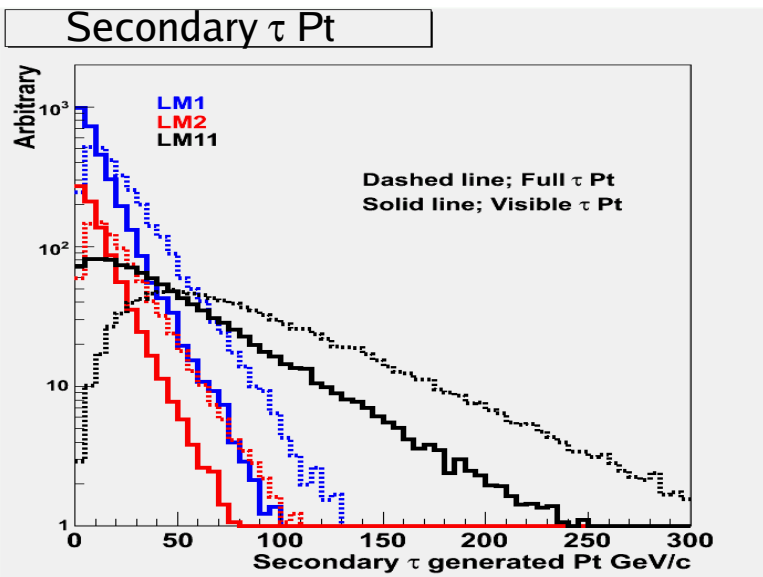
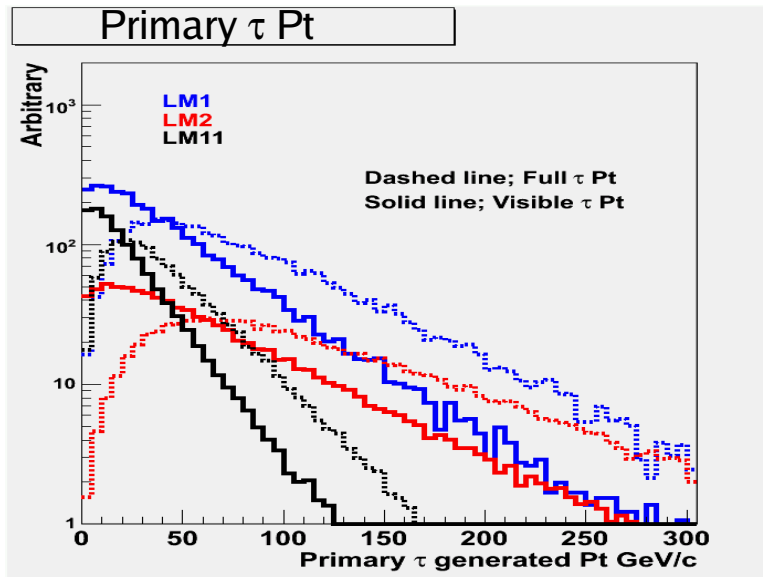
- $\tau$  pair requirement, both with  $P_t > 5.0$  GeV/c (PAT default)
- MET > 200 GeV,
- HT > 500 GeV
- Leading Jet Et > 50 GeV



Note: Each di-tau has two different entries.

# Backup;

## One tighter $\tau$ Pt help ?

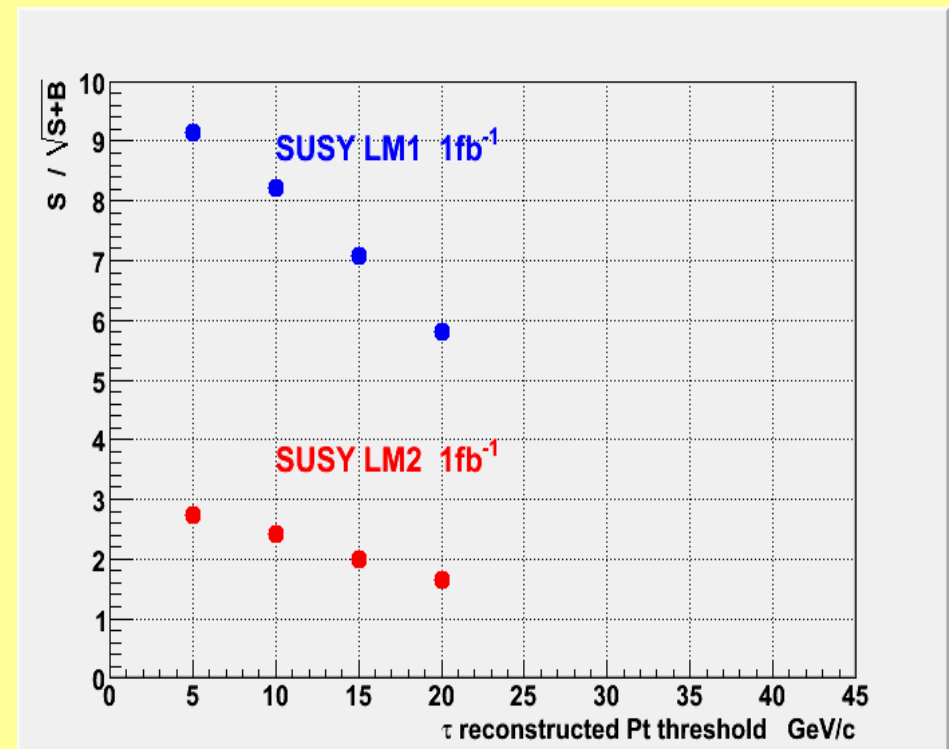


With basic cuts:

$|\eta(\tau)| < 2.5$ , another  $Pt(\tau) > 20$  GeV/c,

HT > 500 GeV, MET > 150 GeV,

Leading jet Et > 150 GeV

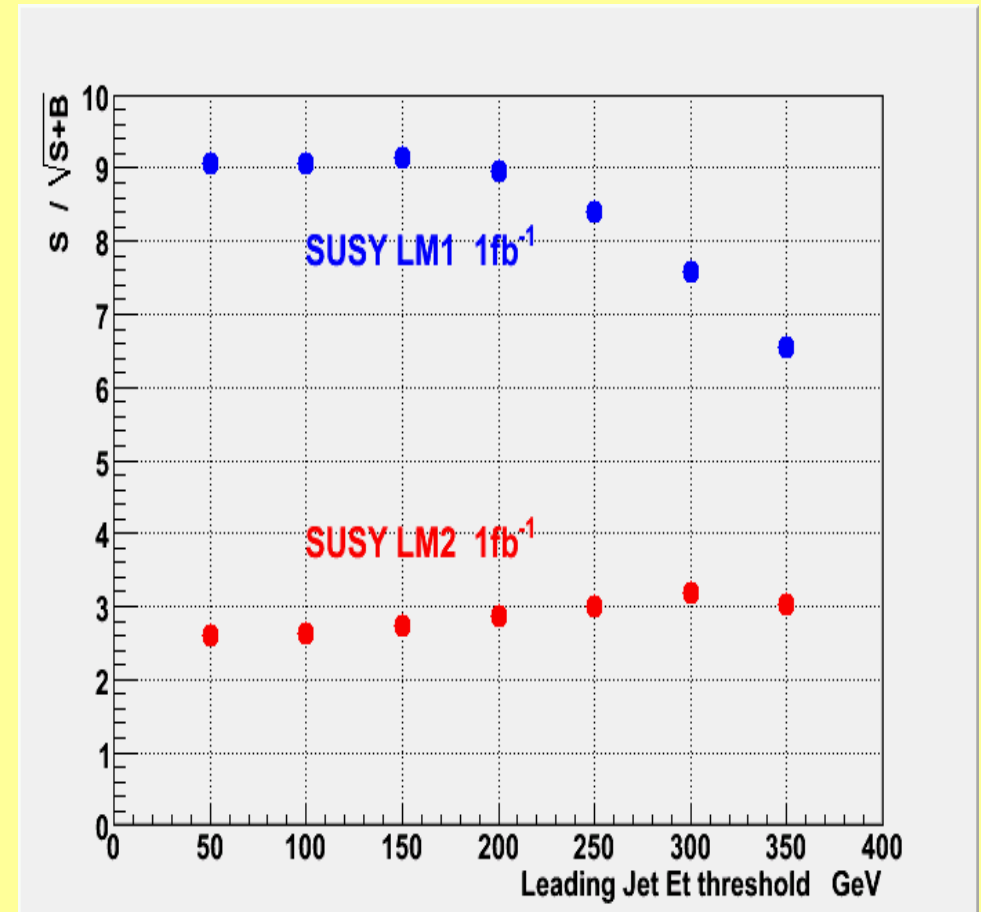
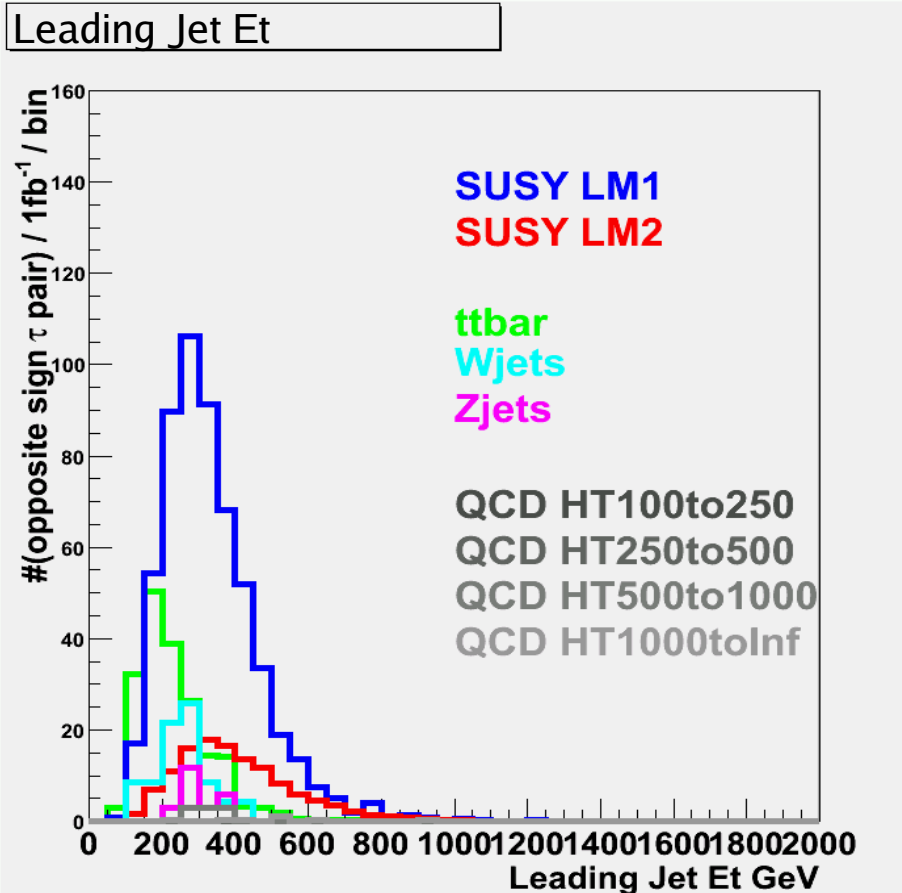


Note; Systematic uncertainty will increase.

# Backup;

## Leading jet (after HT cut) help ? (1)

With very basic cuts:  $|\eta(\tau)| < 2.5$ , one  $Pt(\tau) > 20$  GeV/c and another  $Pt(\tau) > 5$  GeV/c,  
**HT > 500 GeV (optimized for LM1, not for LM2)**, MET > 150 GeV

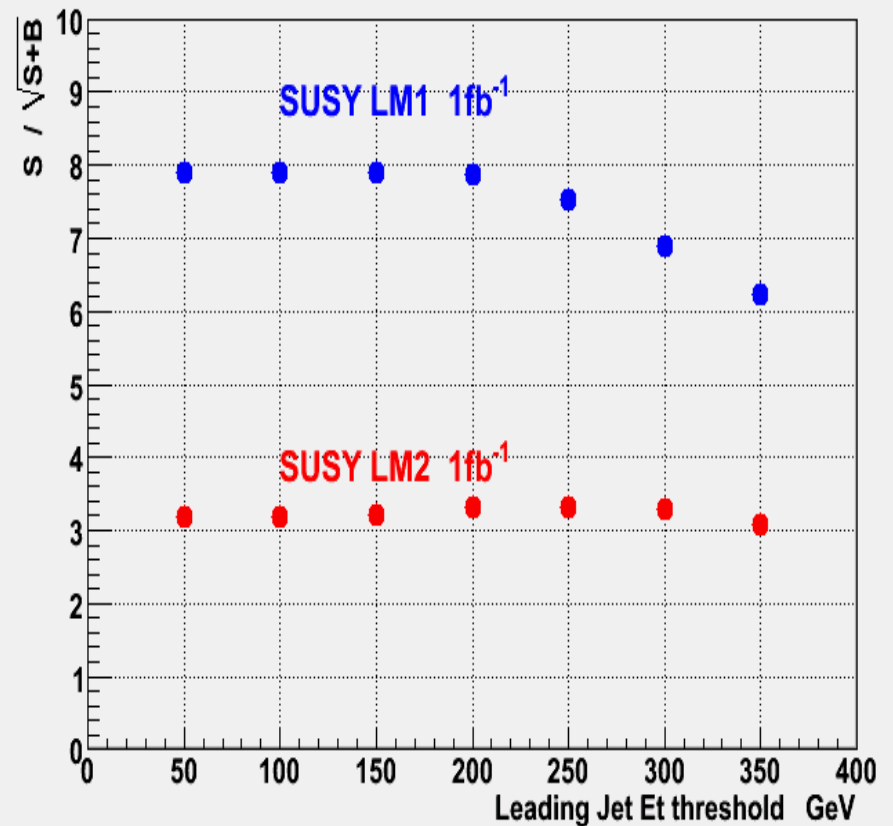
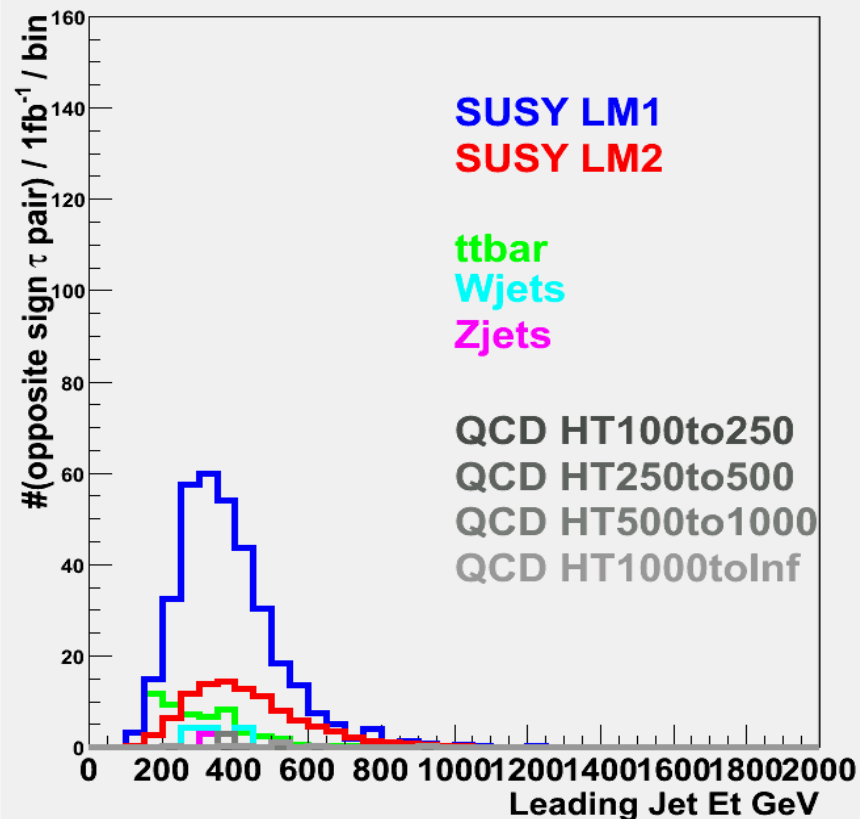


# Backup;

## Leading jet (after HT cut) help ? (2)

With very basic cuts:  $|\eta(\tau)| < 2.5$ , one  $Pt(\tau) > 20$  GeV/c and another  $Pt(\tau) > 5$  GeV/c,  
**HT > 700 GeV (optimized for LM2, not for LM1)**, MET > 150 GeV

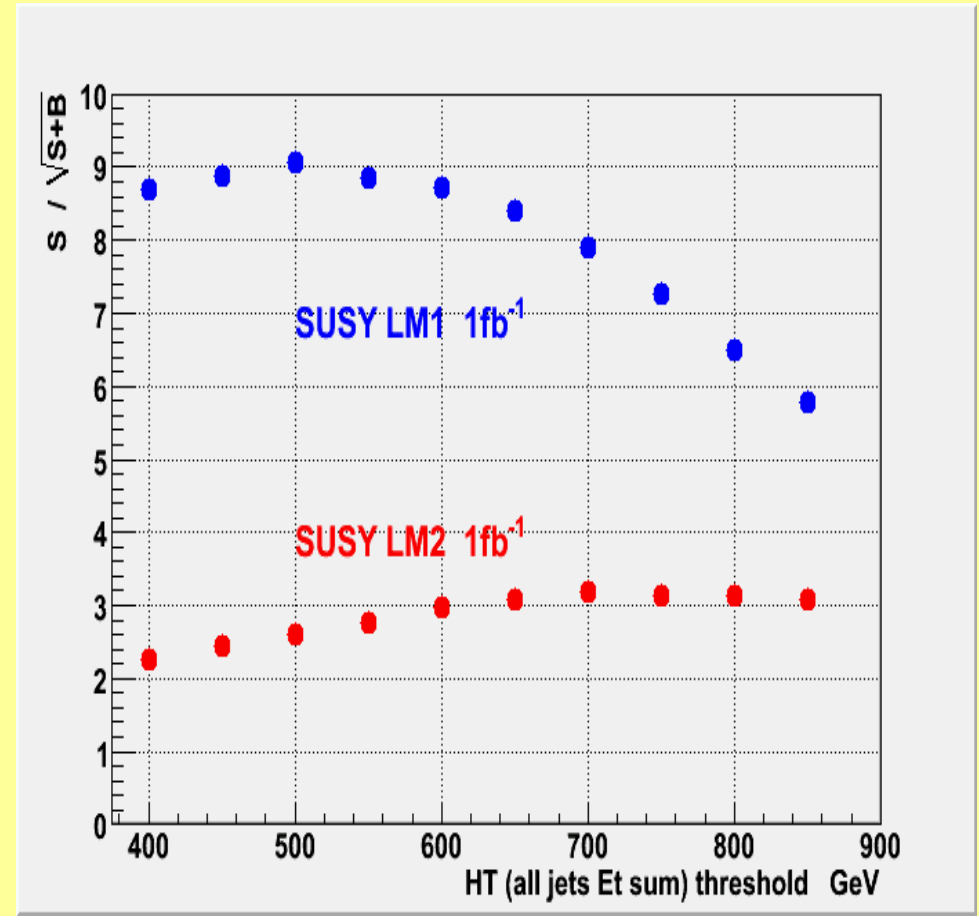
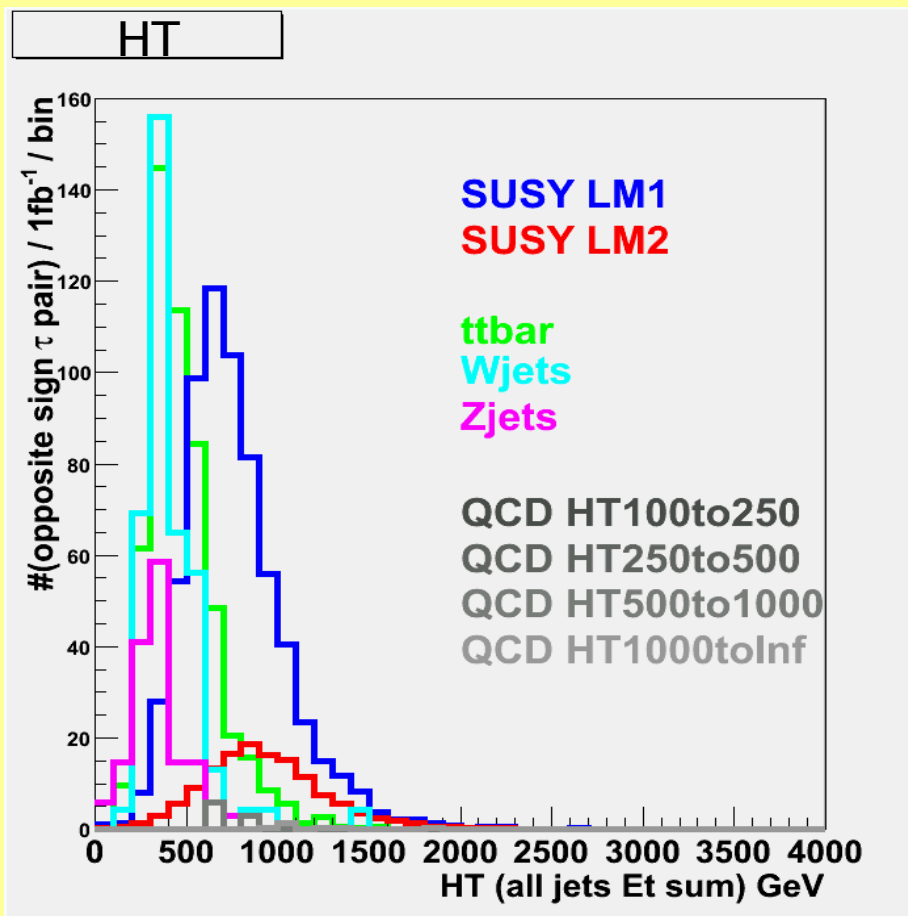
Leading Jet Et



# Backup;

## Leading jet (after HT cut) help ? (3)

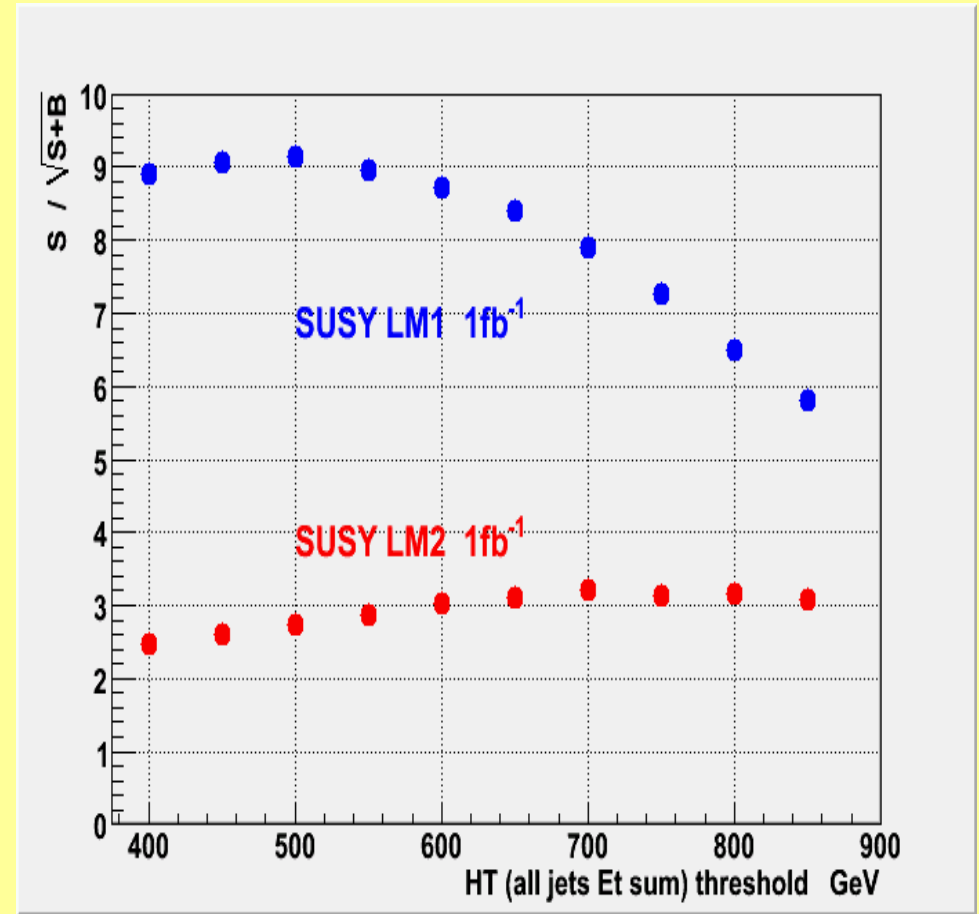
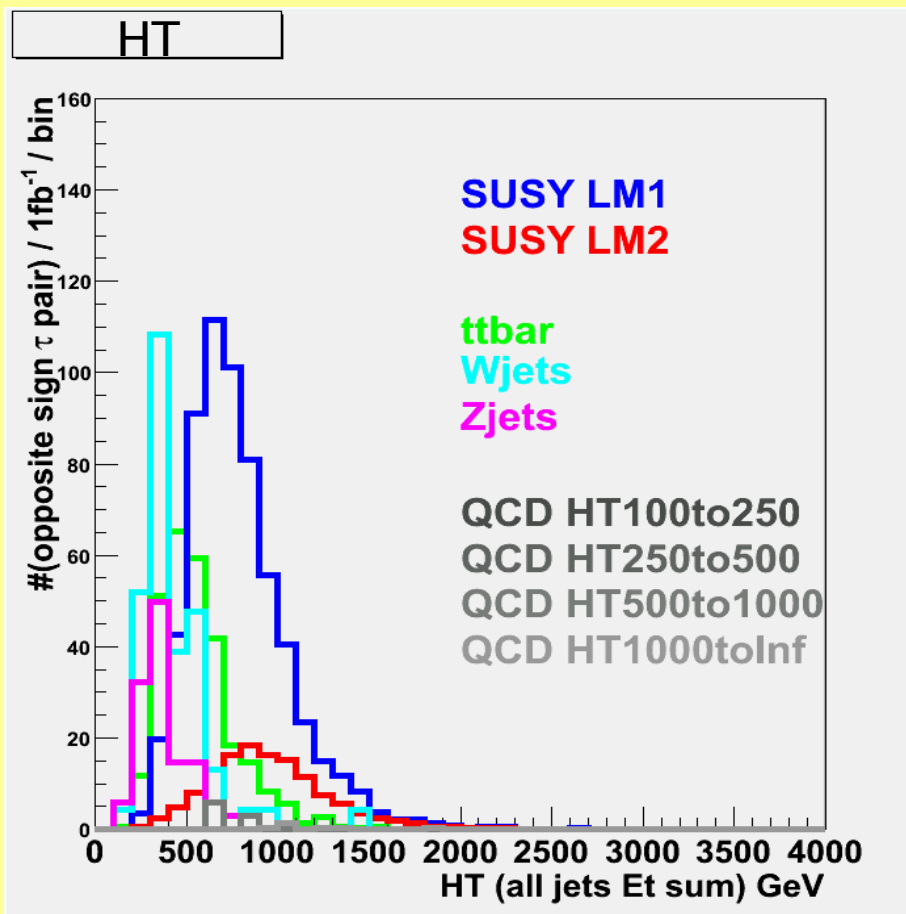
**Without leading jet Et:**  $|\eta(\tau)| < 2.5$ , one  $Pt(\tau) > 20$  GeV/c and another  $Pt(\tau) > 5$  GeV/c, MET > 150 GeV



# Backup;

## Leading jet (after HT cut) help ? (4)

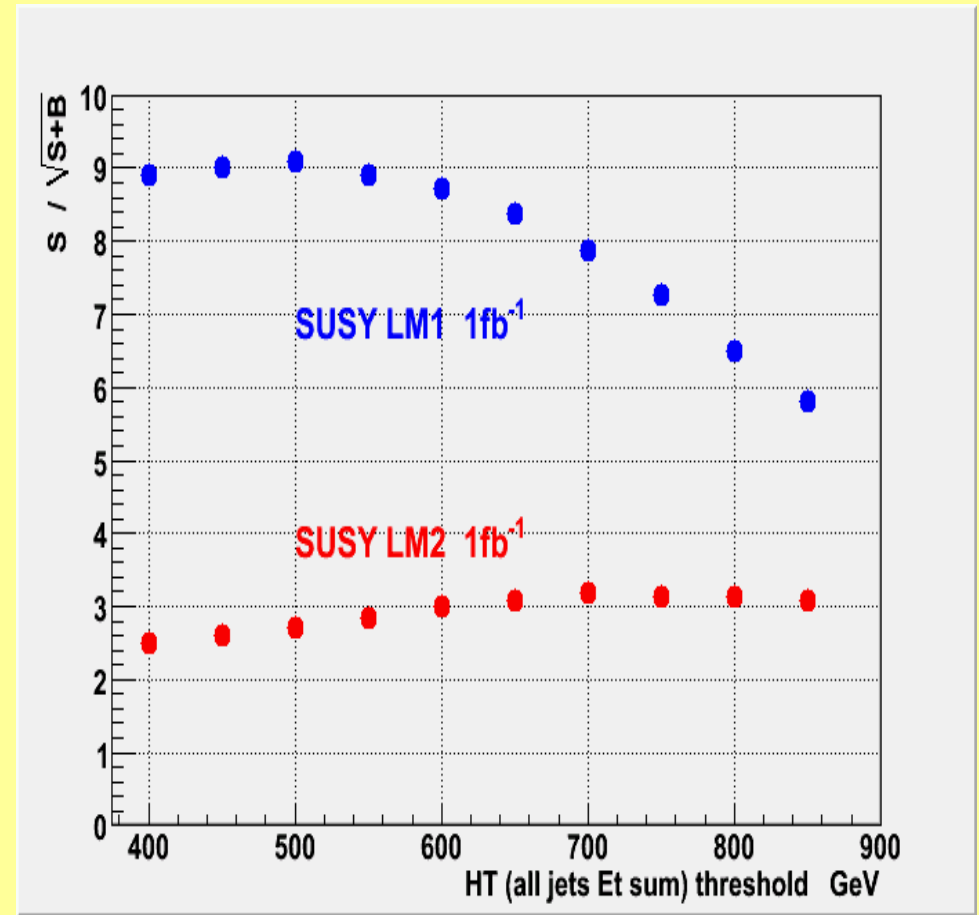
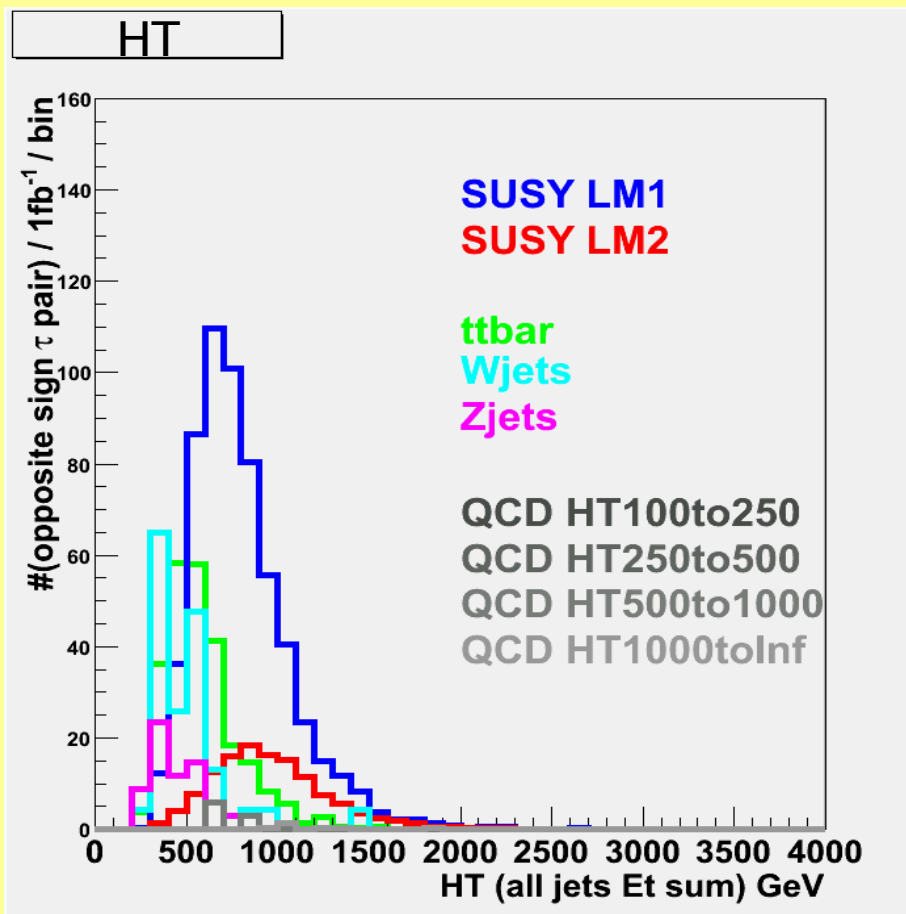
With leading jet Et:  $|\eta(\tau)| < 2.5$ , one  $Pt(\tau) > 20$  GeV/c and another  $Pt(\tau) > 5$  GeV/c,  
MET > 150 GeV, **Leading jet Et > 150 GeV**



# Backup;

## Jet multiplicity help ? (1)

With jet multiplicity:  $|\eta(\tau)| < 2.5$ , one  $Pt(\tau) > 20$  GeV/c and another  $Pt(\tau) > 5$  GeV/c,  
MET > 150 GeV, Leading jet Et > 150 GeV, **#Jets(Et > 50GeV) >=2**

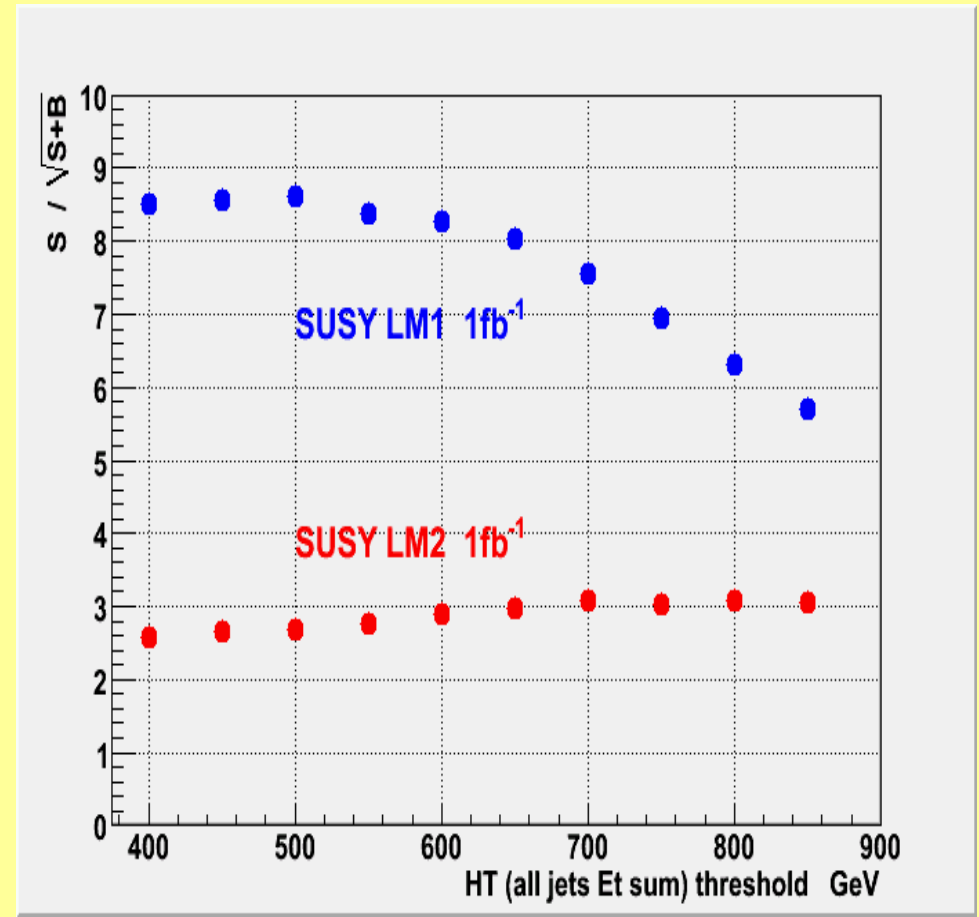
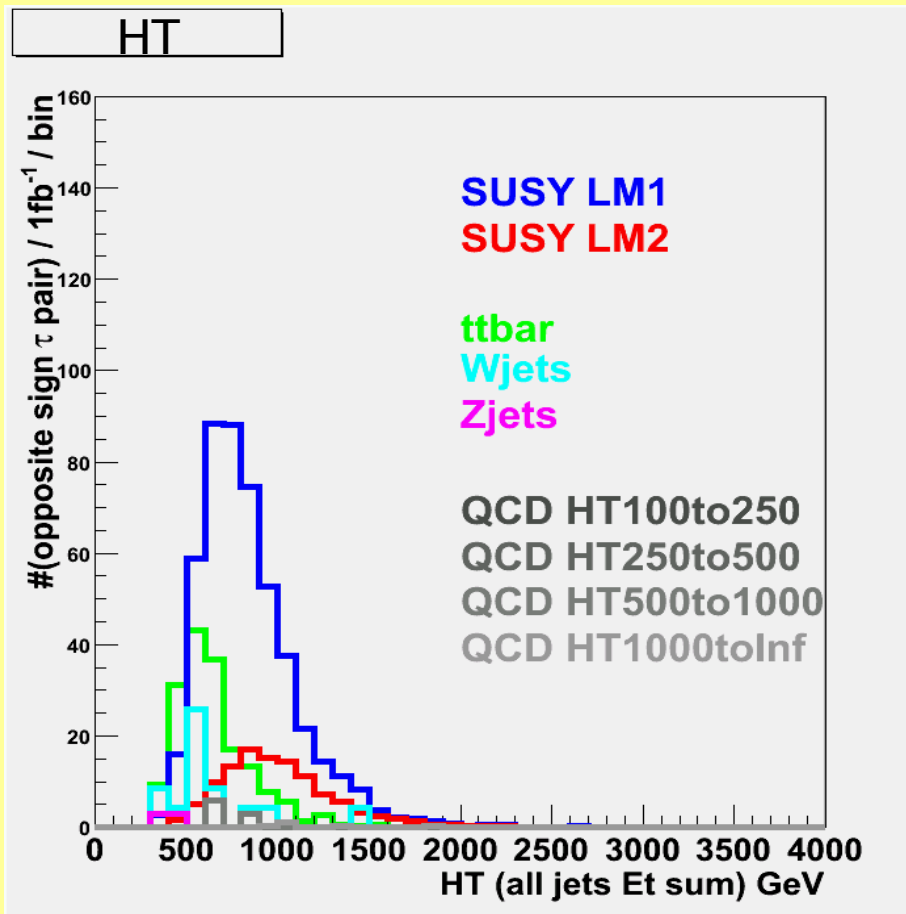




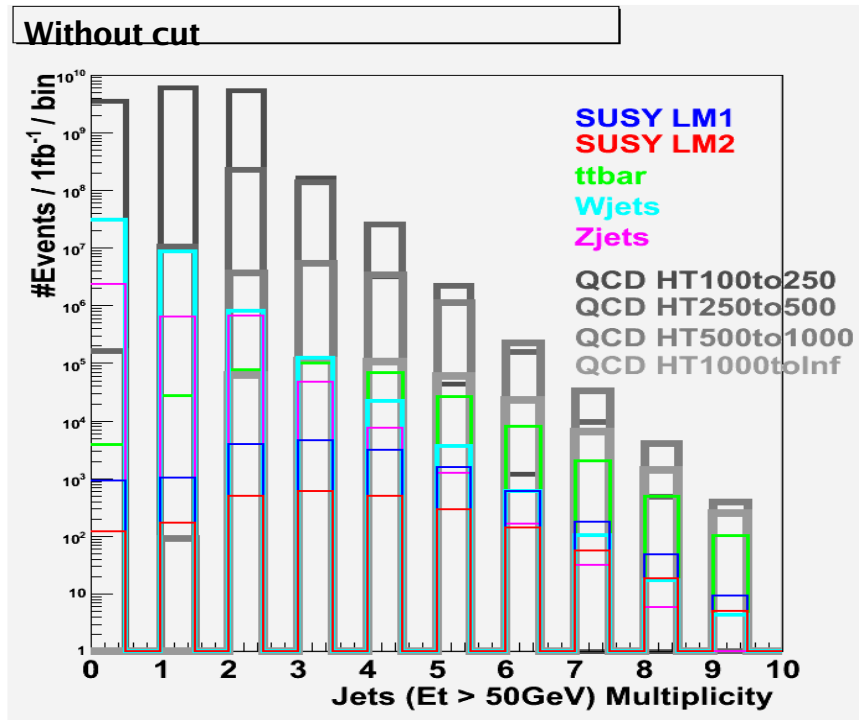
# Backup;

## Jet multiplicity help ? (2)

With additional cut:  $|\eta(\tau)| < 2.5$ , one  $Pt(\tau) > 20$  GeV/c and another  $Pt(\tau) > 5$  GeV/c,  
 $MET > 150$  GeV, Leading jet  $Et > 150$  GeV,  **$\#Jets(Et > 50\text{GeV}) \geq 3$**



# Backup; Reconstructed Jet ( $E_t > 50$ GeV) multiplicity



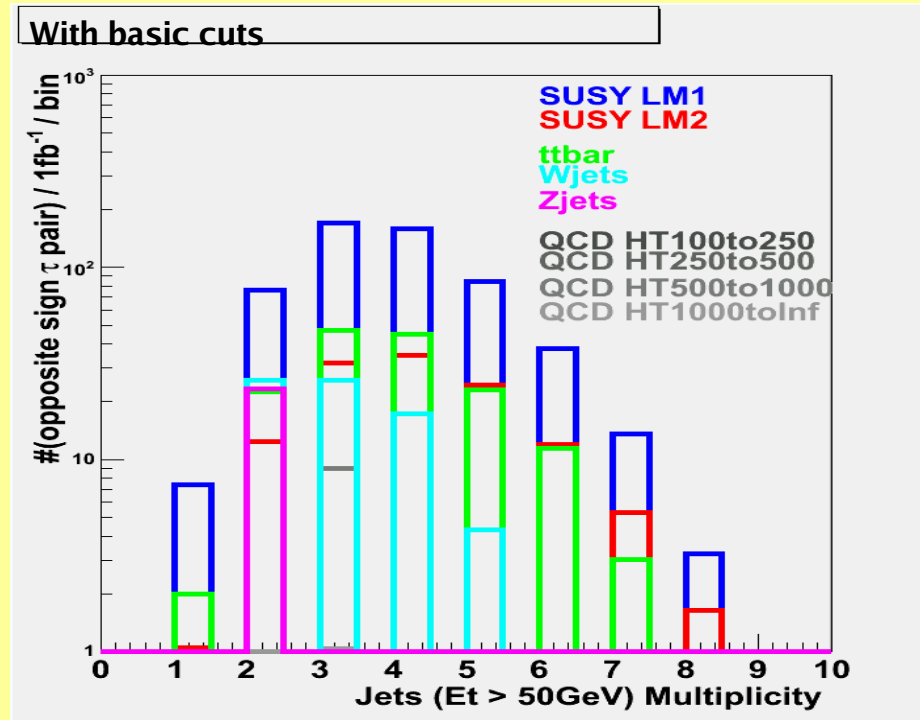
**With basic cuts:**

$$|\eta(\tau)| < 2.5,$$

one  $P_t(\tau) > 20$  GeV/c and another  $P_t(\tau) > 5$  GeV/c,

$HT > 500$  GeV,  $MET > 150$  GeV,

Leading jet  $E_t > 150$  GeV



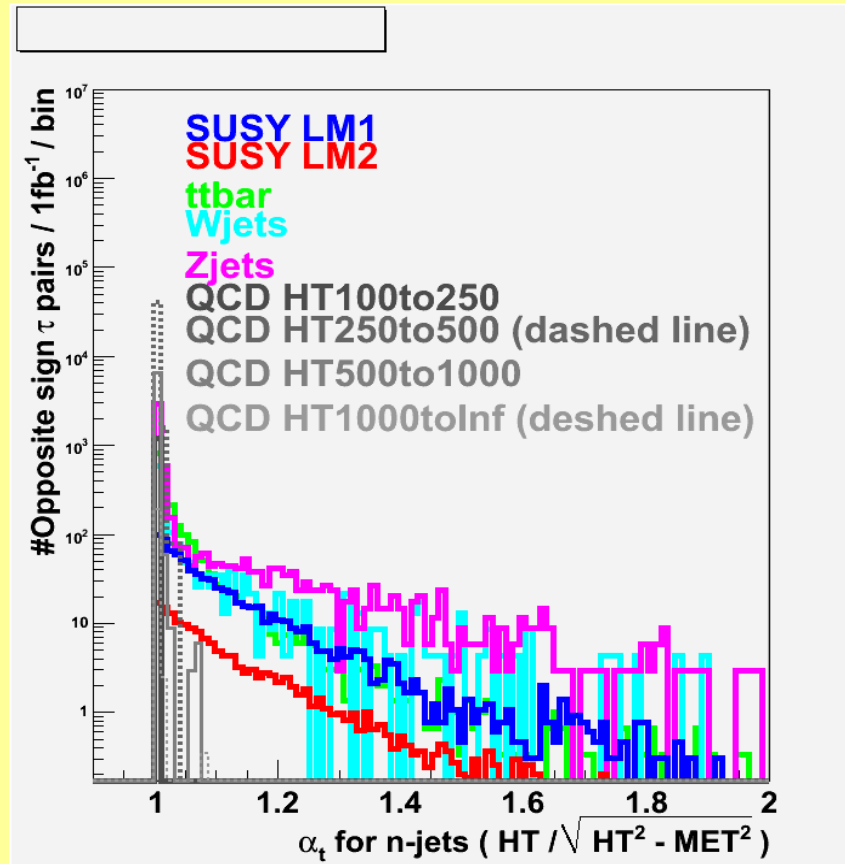
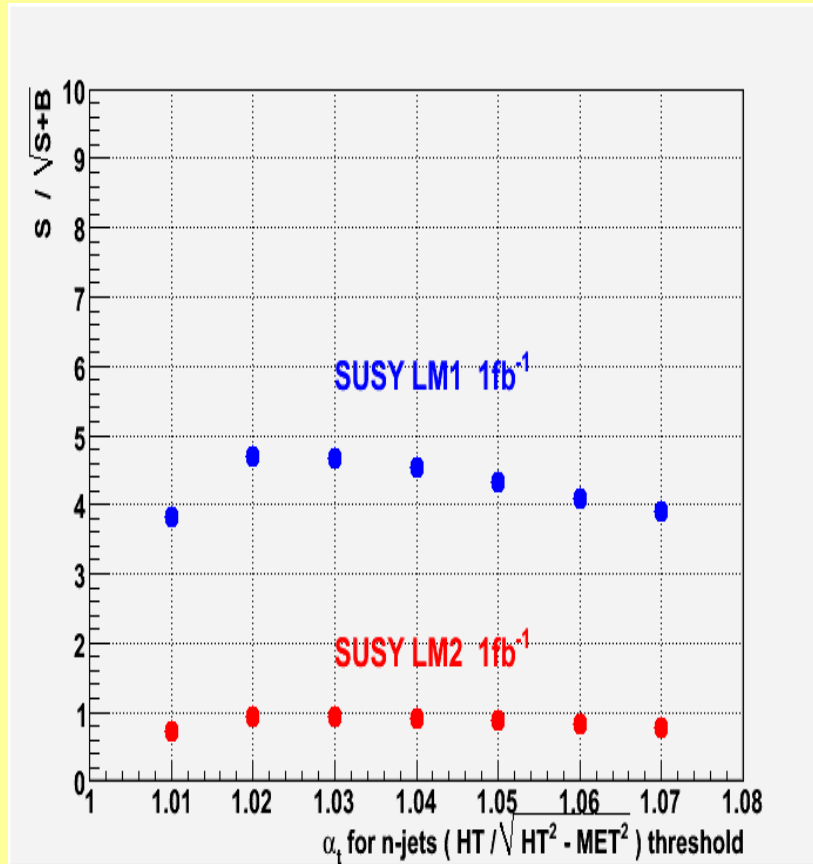
Note; The Z jet events survived only 4 events after cut.  
(It was normalized by a factor  $\sim 3$ .)

# Backup; $\alpha_t$ for n-jets (5)

**Without HT and MET:**

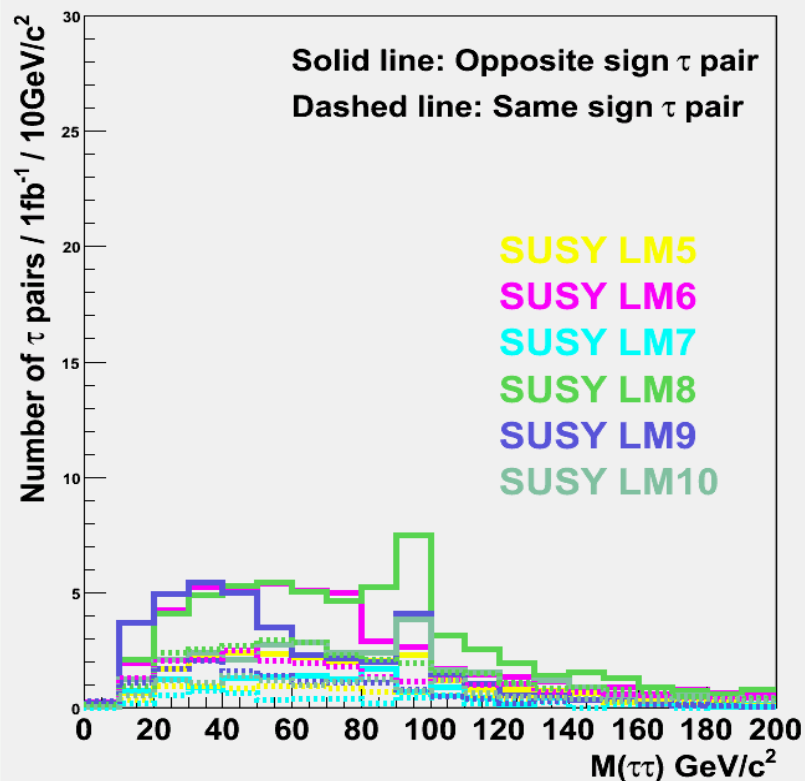
$|\eta(\tau)| < 2.5$ , one  $Pt(\tau) > 20$  GeV/c and  
another  $Pt(\tau) > 5$  GeV/c,

Leading jet  $E_t > 150$  GeV

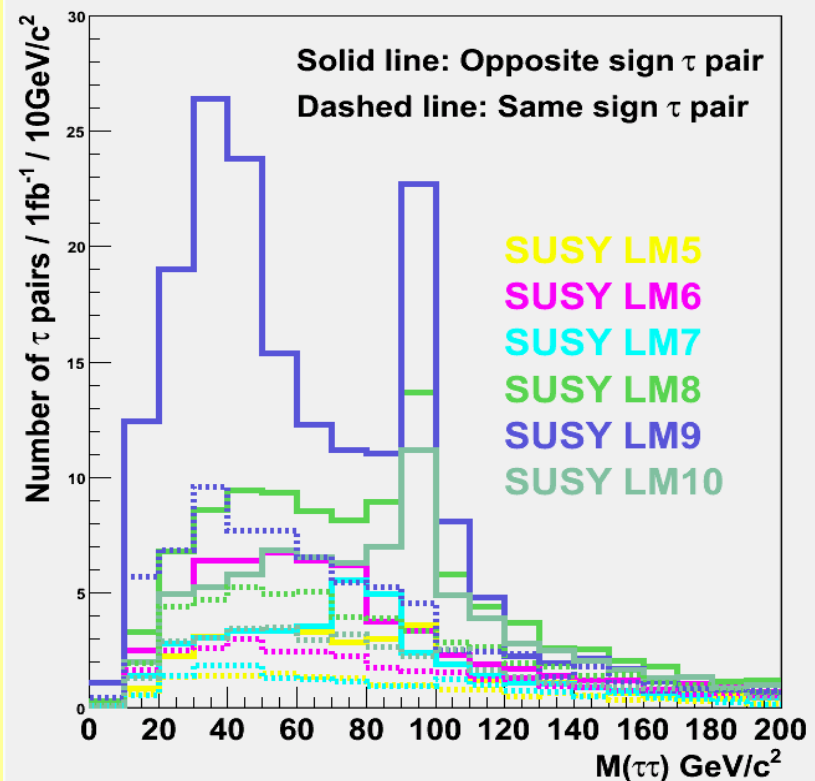


# Backup; $M(\tau^+\tau^-)$ distributions

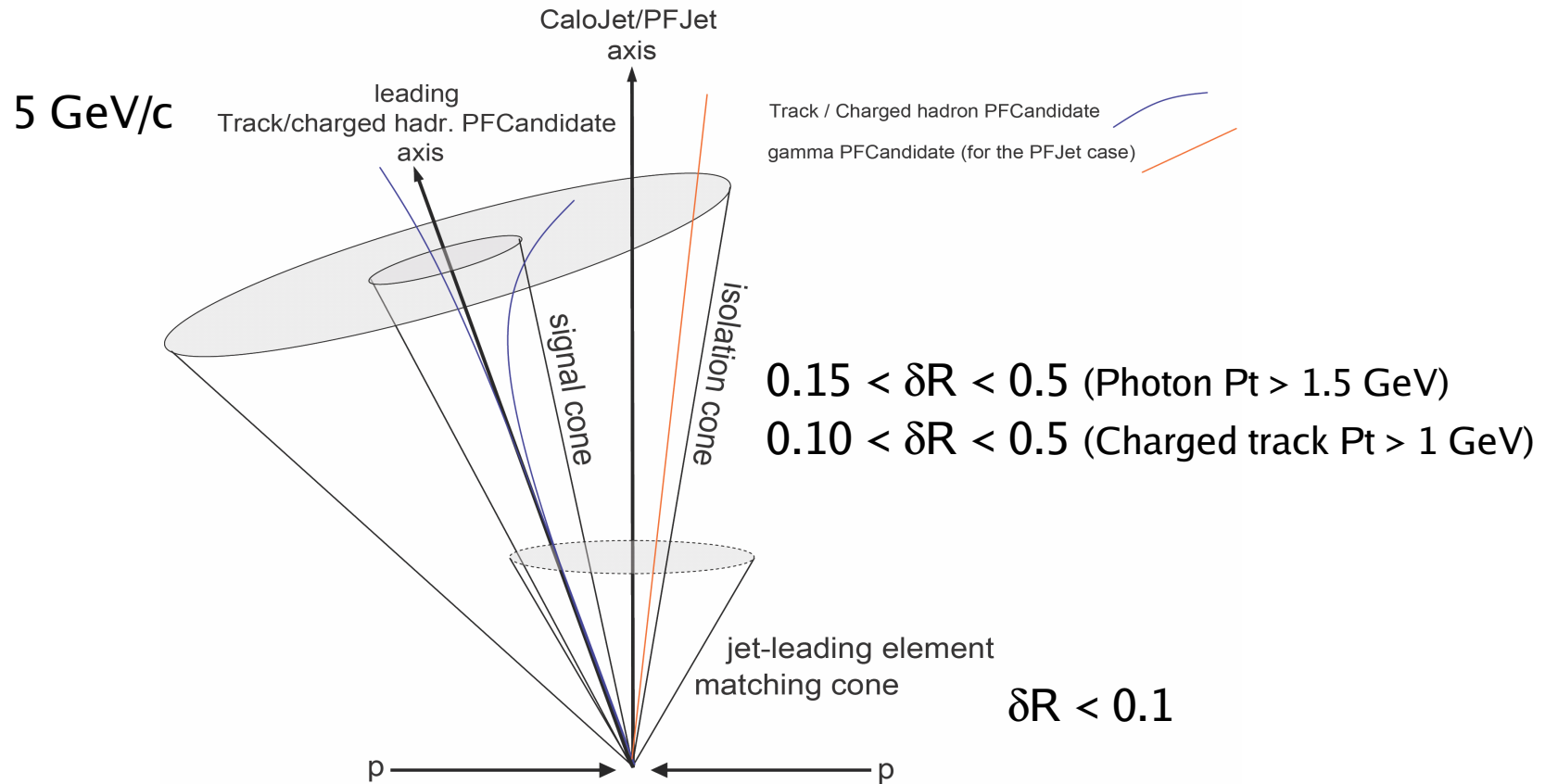
- $|\eta(\tau)| < 2.0$ ,  $Pt(\tau) > 5$  GeV/c,
- $HT > 500$  GeV,
- $MET > 200$  GeV,
- Leading jet  $E_t > 50$  GeV



- $|\eta(\tau)| < 2.0$ ,  $Pt(\tau) > 5$  GeV/c,
- $HT > 500$  GeV,
- **Without MET cut**
- Leading jet  $E_t > 50$  GeV



# CMS Standard tau reconstruction



# ABCD method discussion; Which variable is better ?

Basic cuts (please see backup slides for the optimization)

- $|\eta(\tau)| < 2.0$
- $Pt(\tau) > 5 \text{ GeV}/c$  [PAT default]
- $HT > 500 \text{ GeV}$
- $MET > 200 \text{ GeV}$
- **Leading jet  $E_t > 50 \text{ GeV}$**

[ This leading jet  $E_t$  requirement is not effective after the HT cut. (please see backup slides as well.)

I'm applying a minimum cut since I suppose that a standard trigger will be using some cut.]

- ✓ In order to estimate  $t\bar{t}$ /Wjet/Zjets which survive eventually, QCD backgrounds should be suppressed even in control regions. Then, the MET cut would be applied even for control regions. Therefore, I don't use the MET as the ABCD method variable.
- ✓  $Pt(\tau)$  is using the PAT minimum value. I don't have a control region.
- ✓ HT and the leading jet  $E_t$  are highly correlated. I can use only one of them.
- ✓ The leading jet  $\eta$  is highly correlated with the leading jet  $E_t$ .  
It means that the leading jet  $\eta$  is also highly correlated with the HT.  
Therefore I did not use the leading jet  $\eta$  in this time.

→ **Tested “ $\eta(\tau)$  vs HT”**

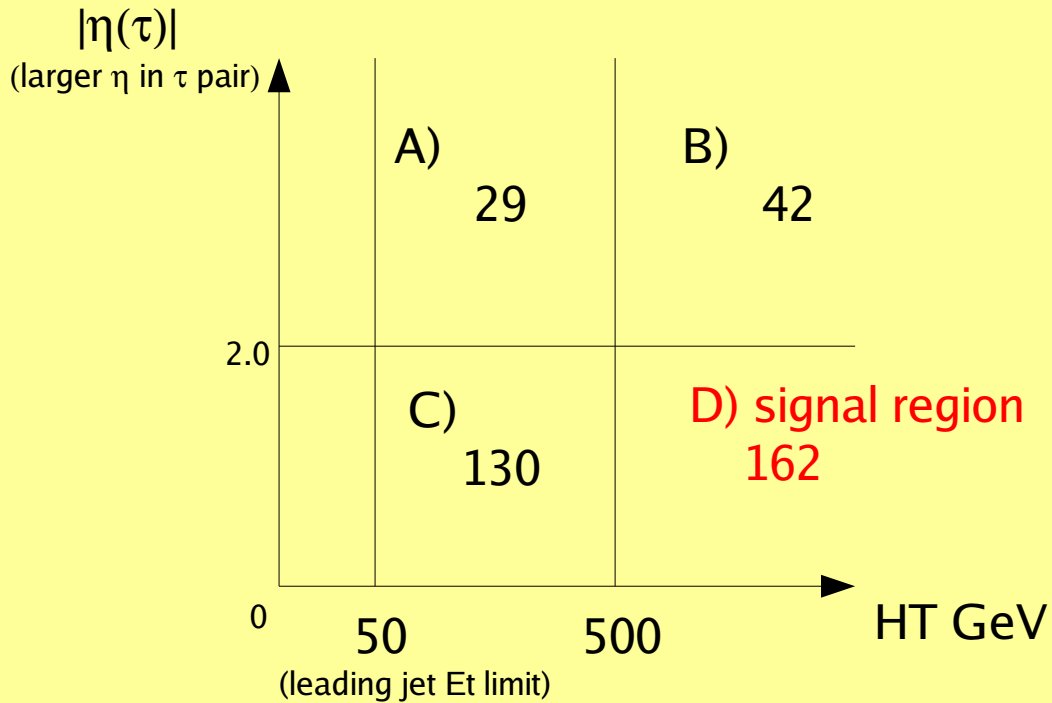
# ABCD method test (1)

## [ttbar]

3.0fb<sup>-1</sup> ttbar

#opposite sign  $\tau$  pairs

- Tau pairs with  $Pt(\tau) > 5$  GeV/c
- MET > 200 GeV
- Leading jet  $E_t > 50$  GeV



Control region definitions are not yet optimized at all.

By assuming the ratio  $A:B = C:D$ ,  
the estimated number in the signal region D is,  
 $D = B/A \times C = 42/29 \times 130 = 188 \pm 48$ .  
(Good agreement with the true number 162.)

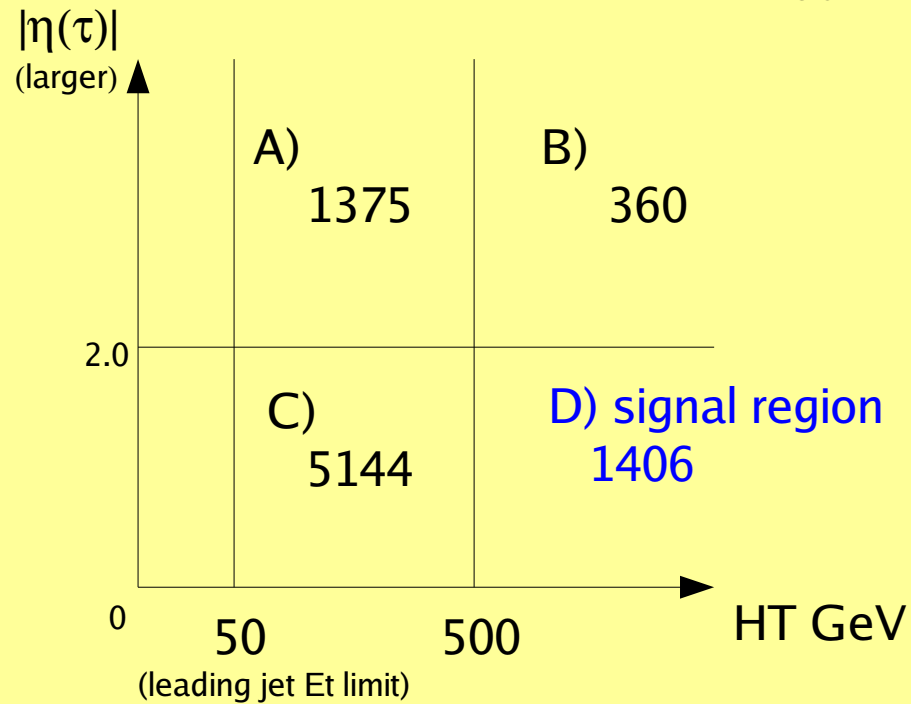
# ABCD method test (2)

## [ $t\bar{t}b\bar{b}$ consistency check]

$3.0\text{fb}^{-1} t\bar{t}b\bar{b}$

#opposite sign  $\tau$  pairs

- Tau pairs with  $Pt(\tau) > 5 \text{ GeV}/c$
- MET > 100 GeV
- Leading jet  $E_t > 50 \text{ GeV}$



The estimated number in the signal region D is,  
 $D = B/A \times C = 360/1375 \times 5144 = 1347 \pm 82$ .  
(Good agreement with the true number 1406.)

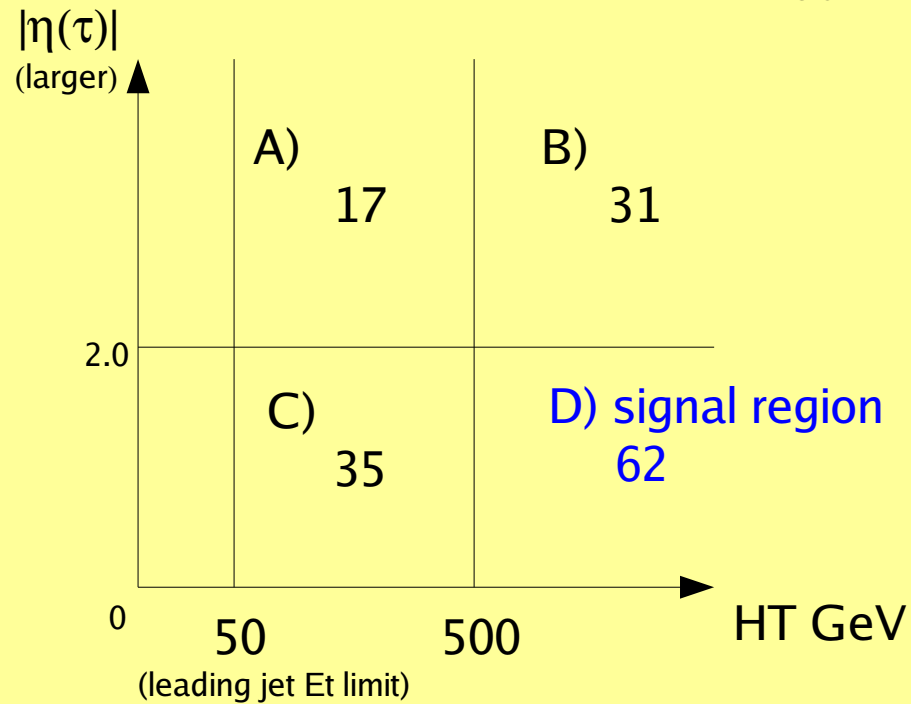


# ABCD method test (3)

## [ $t\bar{t}b\bar{b}$ consistency check]

3.0fb<sup>-1</sup>  $t\bar{t}b\bar{b}$   
#same sign  $\tau$  pairs

- Tau pairs with  $Pt(\tau) > 5$  GeV/c
- MET > 200 GeV
- Leading jet  $E_t > 50$  GeV



The estimated number in the signal region D is,  
 $D = B/A \times C = 31/17 \times 35 = 64 \pm 22$ .

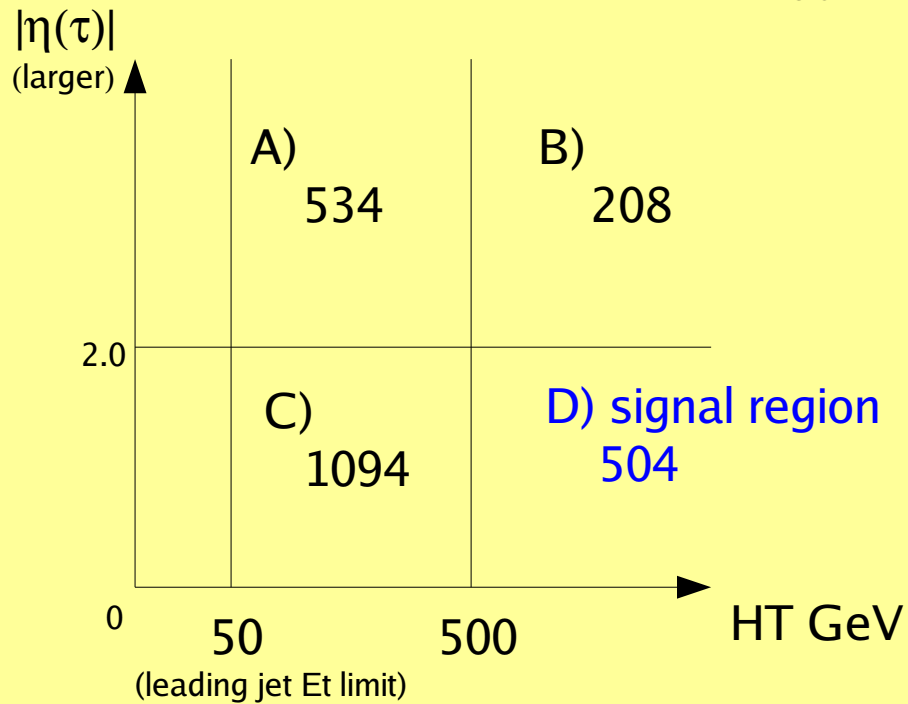
(Good agreement with the true number 62.)

# ABCD method test (4)

## [ $t\bar{t}b\bar{b}$ consistency check]

3.0fb<sup>-1</sup>  $t\bar{t}b\bar{b}$   
#same sign  $\tau$  pairs

- Tau pairs with  $Pt(\tau) > 5$  GeV/c
- MET > 100 GeV
- Leading jet  $E_t > 50$  GeV



The estimated number in the signal region D is,  
 $D = B/A \times C = 208/534 \times 1094 = 426 \pm 37$ .  
(Fair (2.1 $\sigma$ ) from the true number 504. )

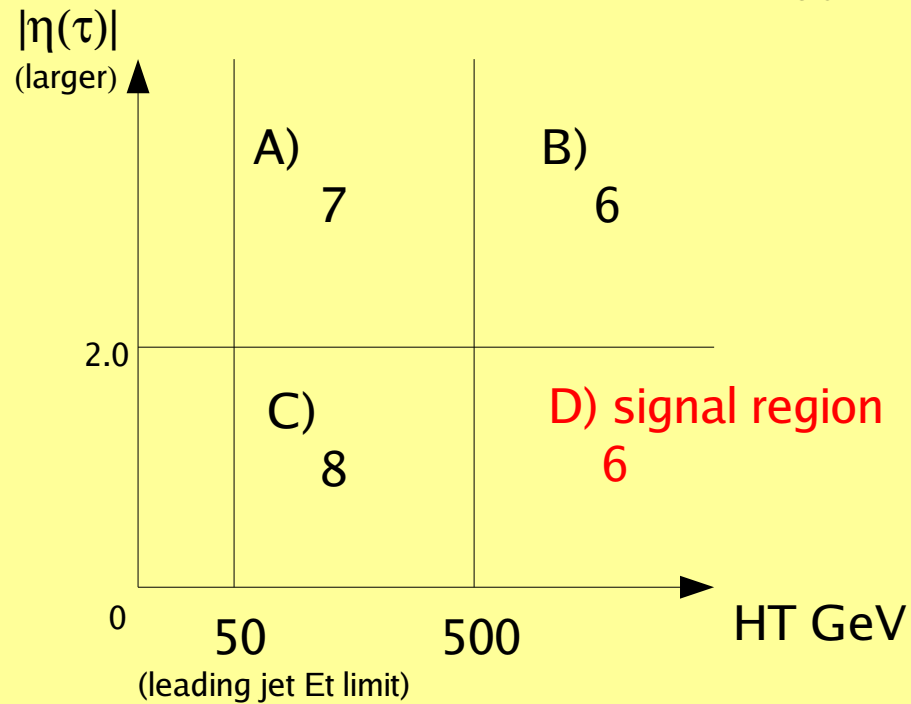
# ABCD method test (5)

## [W jets]

0.23fb<sup>-1</sup> W jets

#opposite sign  $\tau$  pairs

- Tau pairs with  $Pt(\tau) > 5$  GeV/c
- **MET > 200 GeV**
- Leading jet  $E_t > 50$  GeV



The estimated number in the signal region D is,  
 $D = B/A \times C = 6/7 \times 8 = 6.9 \pm 4.5$ .

(Less statistics, but looks reasonable. )

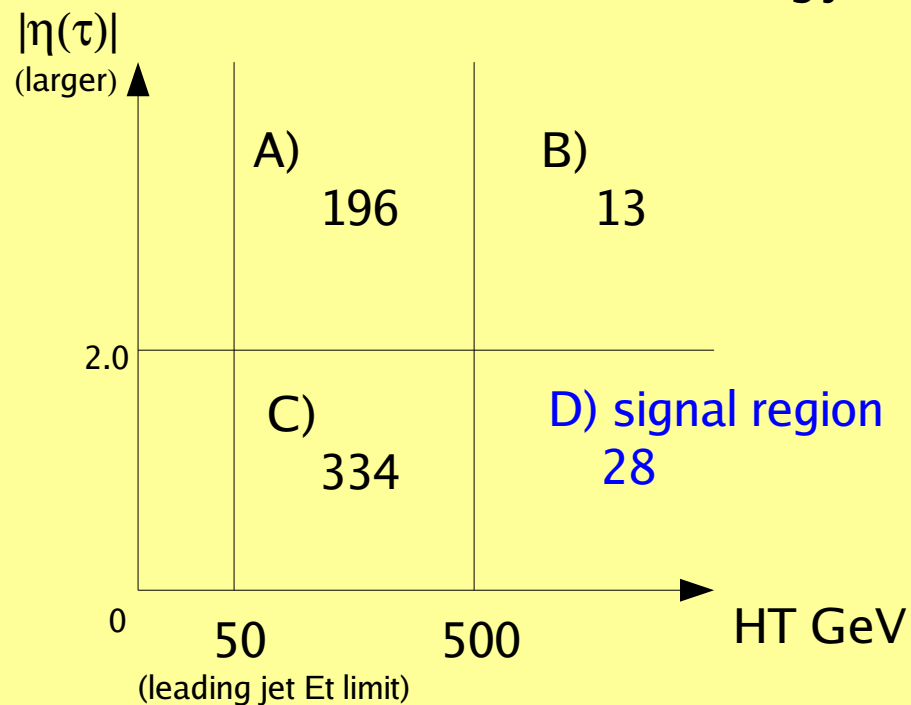
# ABCD method test (6)

## [W jets consistency check]

0.23fb<sup>-1</sup> W jets

#opposite sign  $\tau$  pairs

- Tau pairs with  $Pt(\tau) > 5$  GeV/c
- MET > 100 GeV
- Leading jet  $E_t > 50$  GeV



The estimated number in the signal region D is,  
 $D = B/A \times C = 13/196 \times 334 = 22.2 \pm 6.5$   
(Good agreement with the true number 28.)

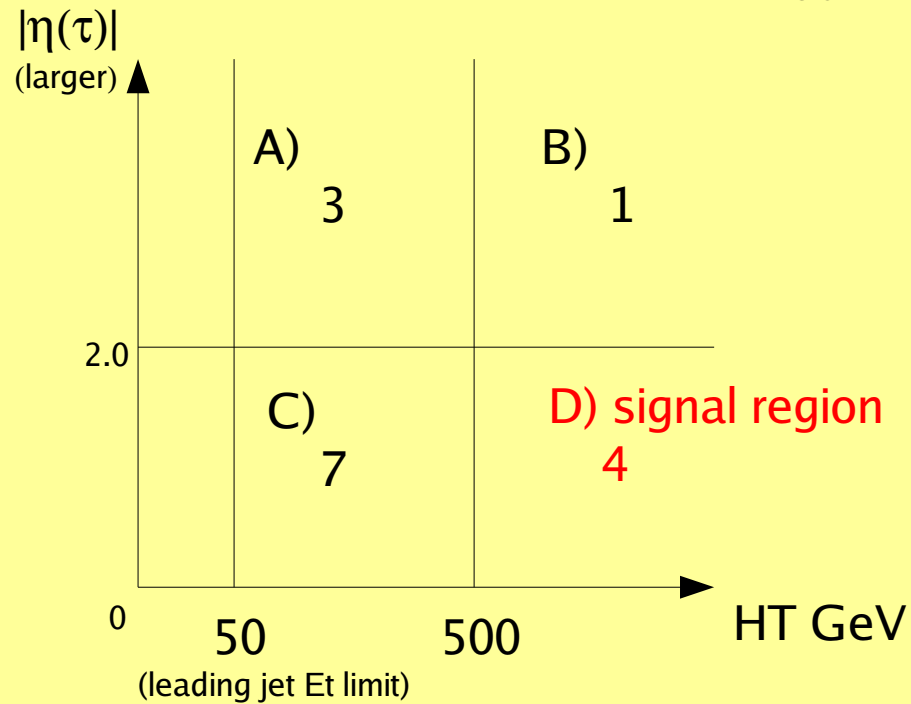
# ABCD method test (7)

## [Z jets]

0.34fb<sup>-1</sup> Z jets

#opposite sign  $\tau$  pairs

- Tau pairs with  $Pt(\tau) > 5$  GeV/c
- MET > 200 GeV
- Leading jet  $E_t > 50$  GeV



The estimated number in the signal region D is,  
 $D = B/A \times C = 1/3 \times 7 = 2.3 \pm 2.8$ .

(Less statistics, but looks reasonable. )

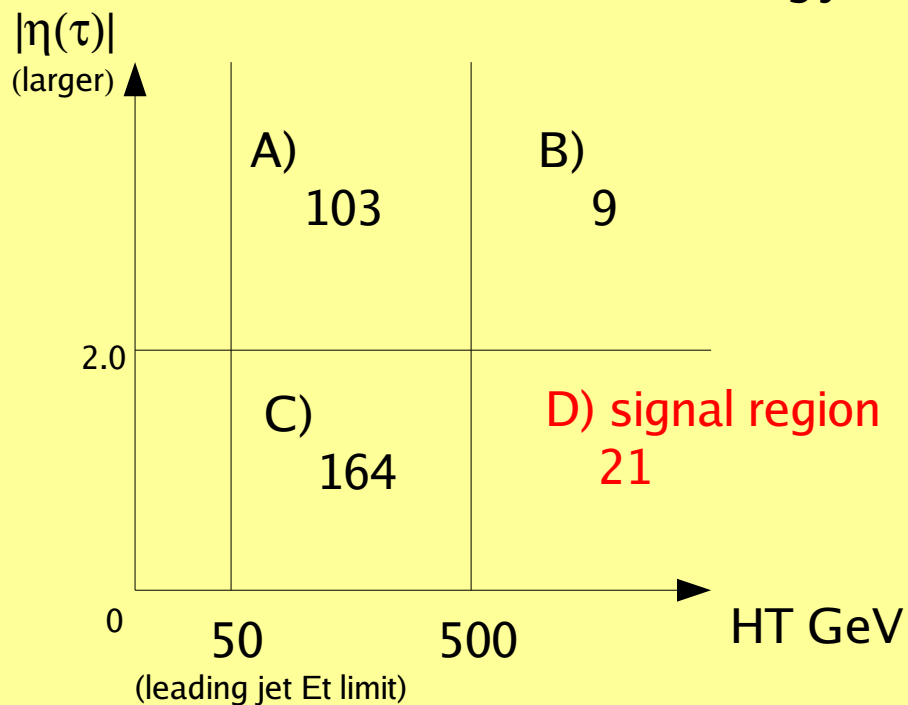
# ABCD method test (8)

## [Z jets consistency check]

0.34fb<sup>-1</sup> Z jets

#opposite sign  $\tau$  pairs

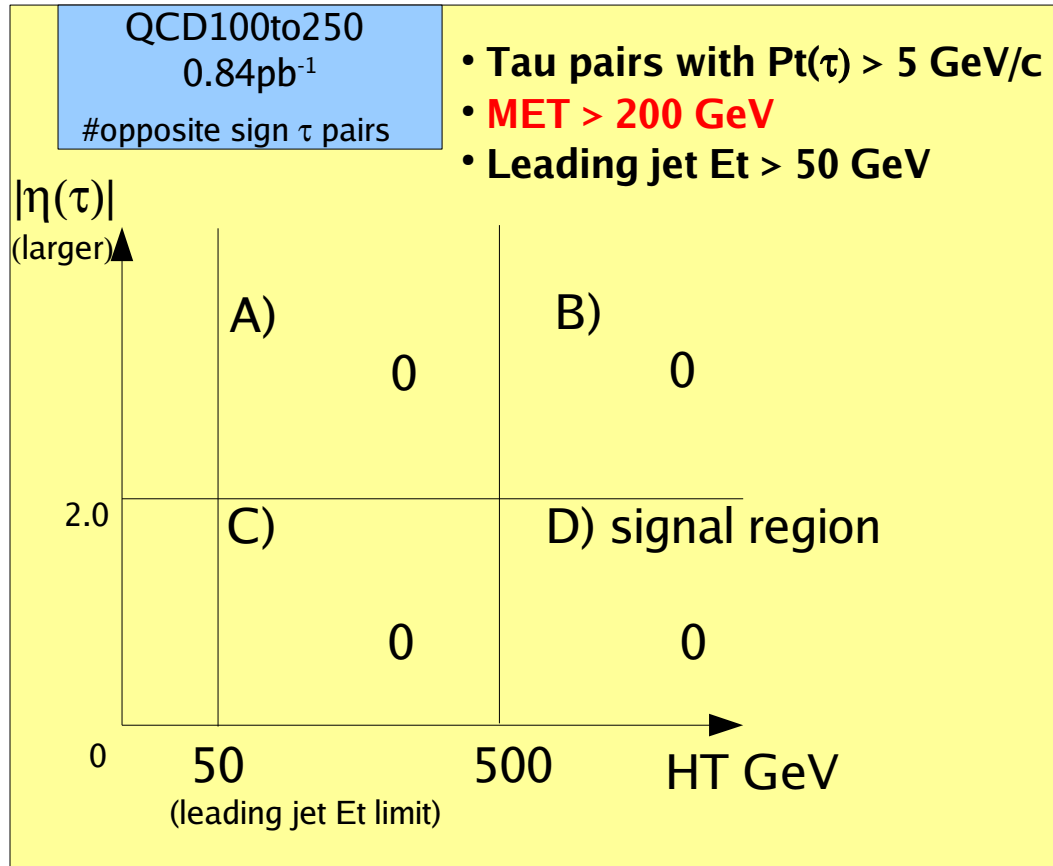
- Tau pairs with  $Pt(\tau) > 5$  GeV/c
- MET > 100 GeV
- Leading jet  $E_t > 50$  GeV



The estimated number in the signal region D is,  
 $D = B/A \times C = 9/103 \times 164 = 14.3 \pm 5.1$   
(Fair (1.3 $\sigma$ ) agreement with the true number 21. )

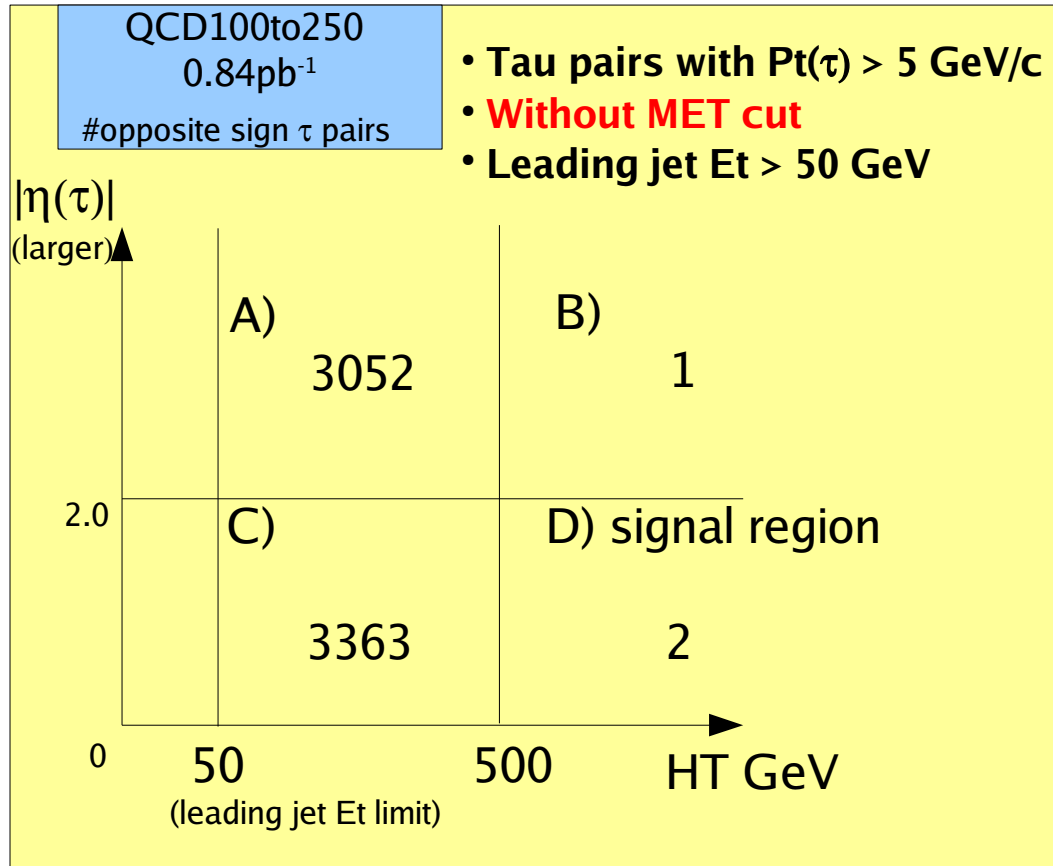
# ABCD method test (10)

[QCD ( $100\text{GeV} < \text{HT} < 250\text{GeV}$ ) contamination]



# ABCD method test (10)

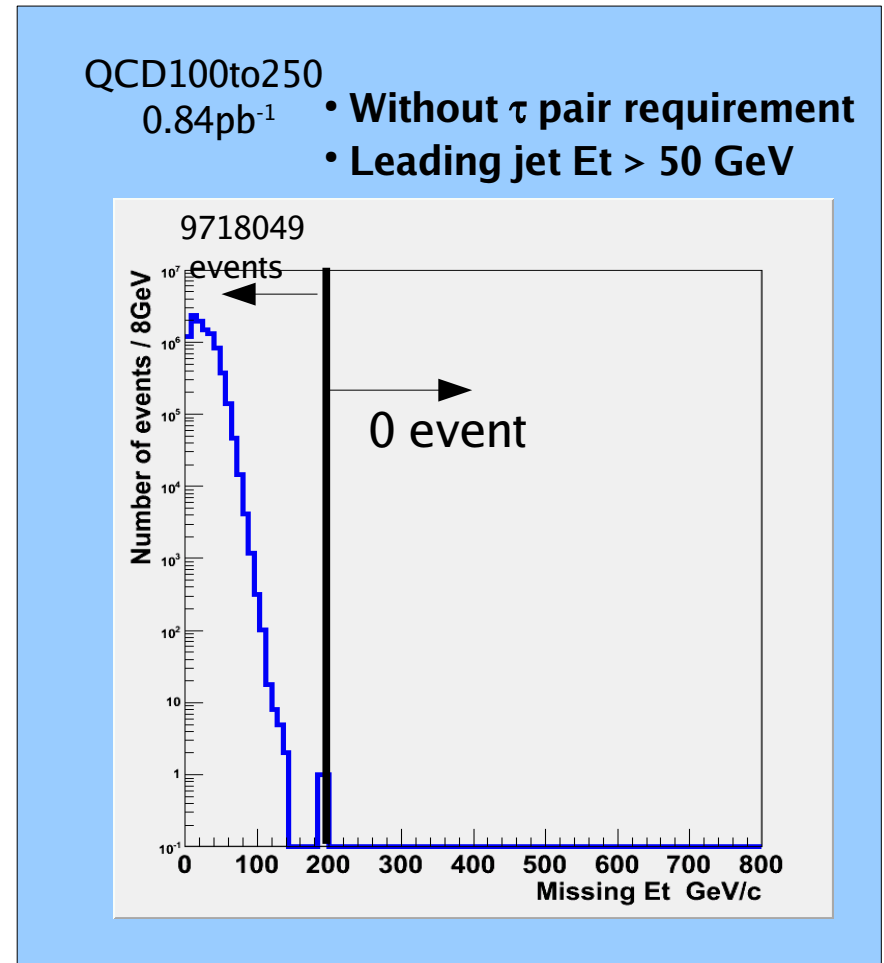
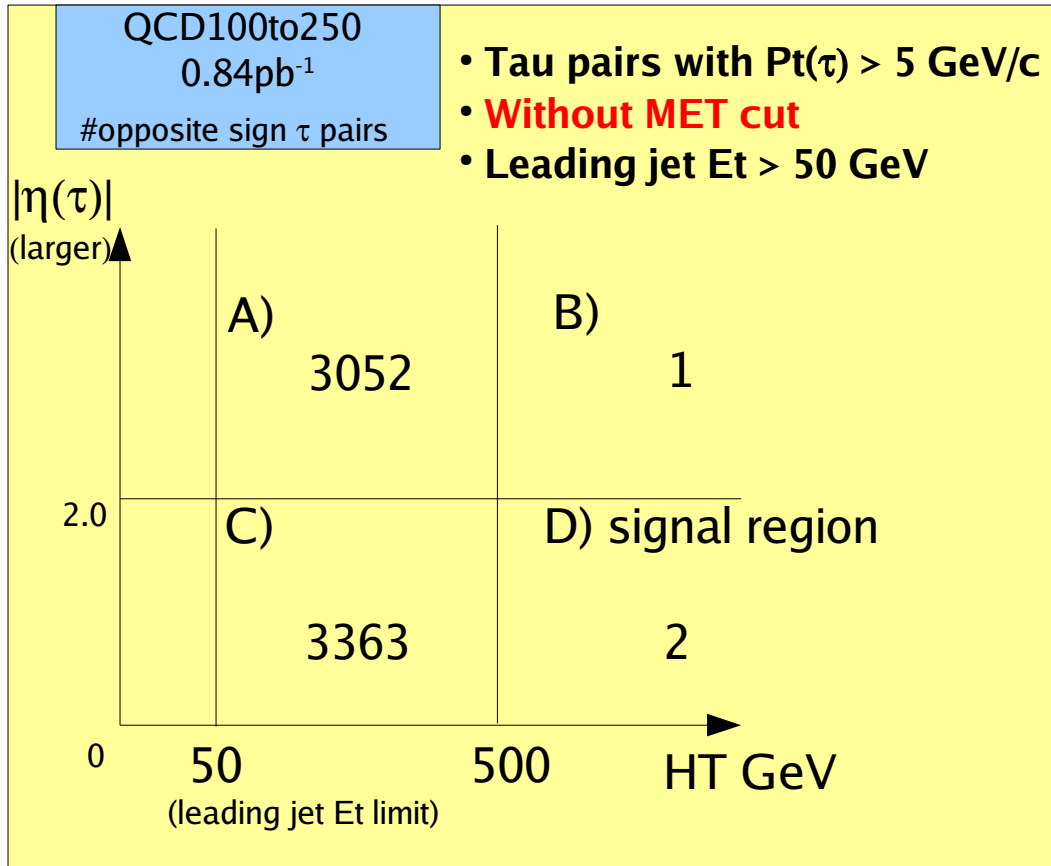
[QCD ( $100\text{GeV} < \text{HT} < 250\text{GeV}$ ) contamination]





# ABCD method test (10)

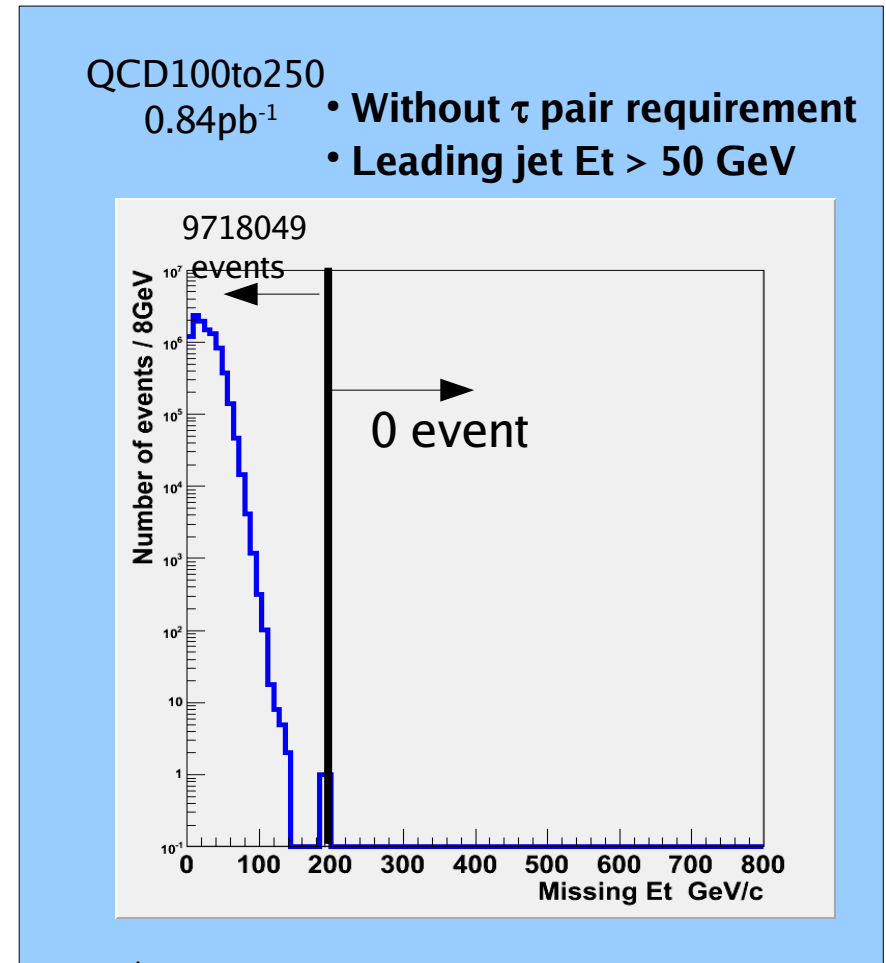
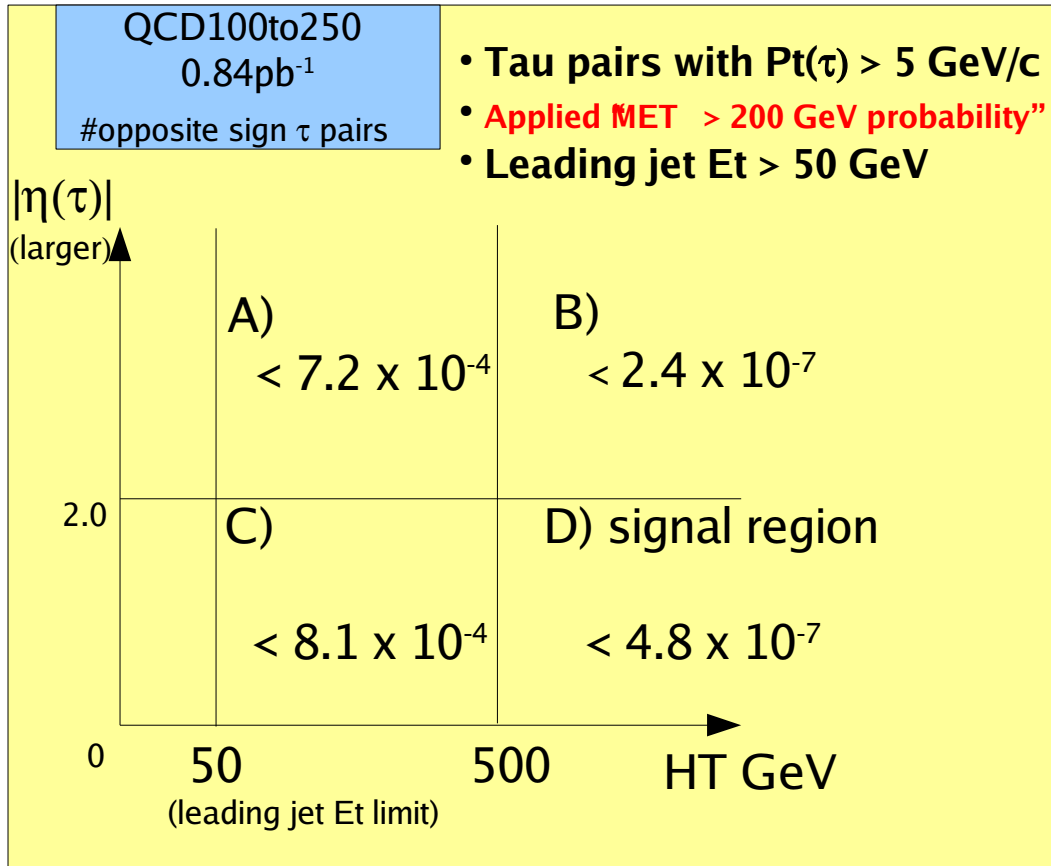
[QCD ( $100\text{GeV} < \text{HT} < 250\text{GeV}$ ) contamination]



“MET > 200 GeV probability,”  
 $2.3 / 9718049 = 2.4 \times 10^{-7}$  (90% C.L.)

# ABCD method test (10)

[QCD ( $100\text{GeV} < \text{HT} < 250\text{GeV}$ ) contamination]

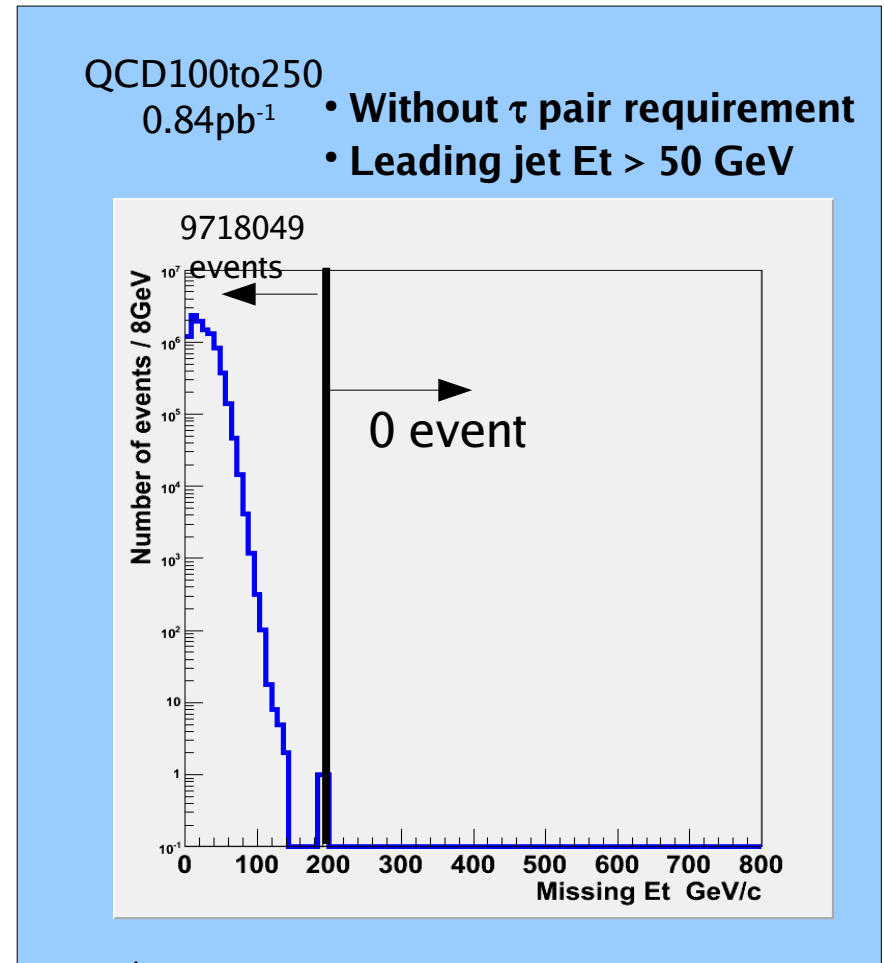
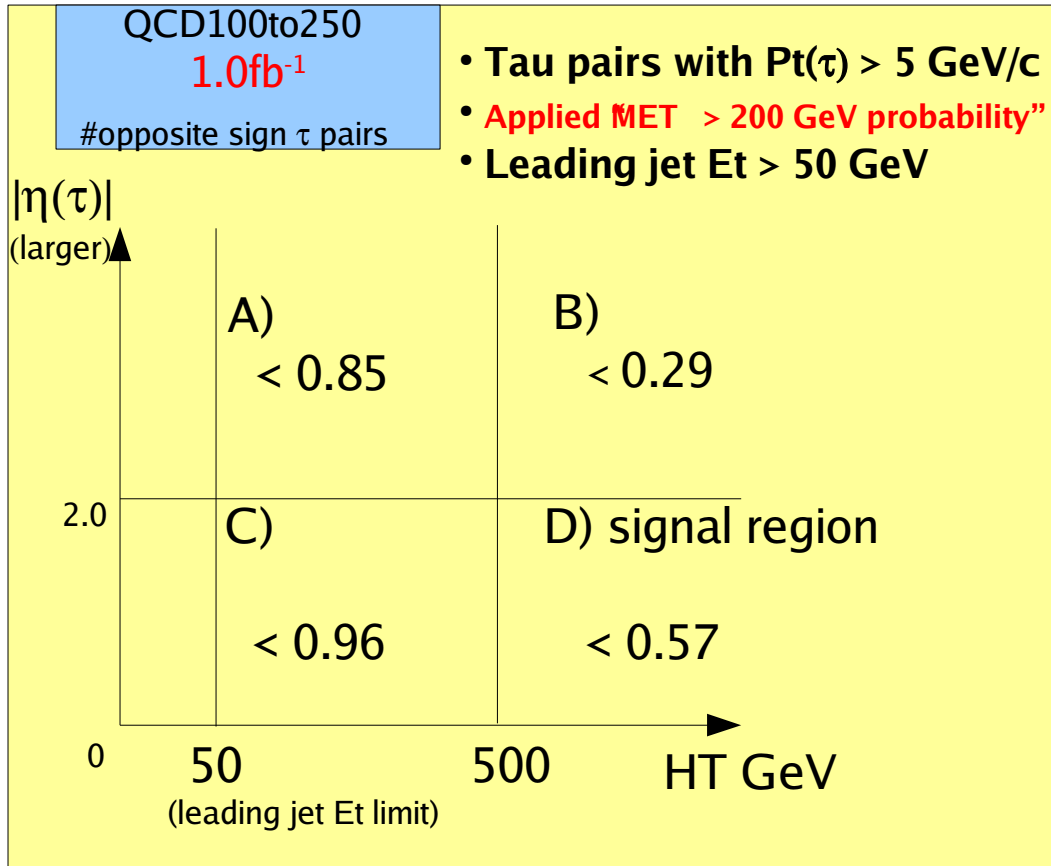


Note; This is very rough estimation.  
(Not taking any correlation into accounts.)

“MET > 200 GeV probability”,  
 $2.3 / 9718049 = 2.4 \times 10^{-7}$  (90% C.L.)

# ABCD method test (10)

[QCD ( $100\text{GeV} < \text{HT} < 250\text{GeV}$ ) contamination]

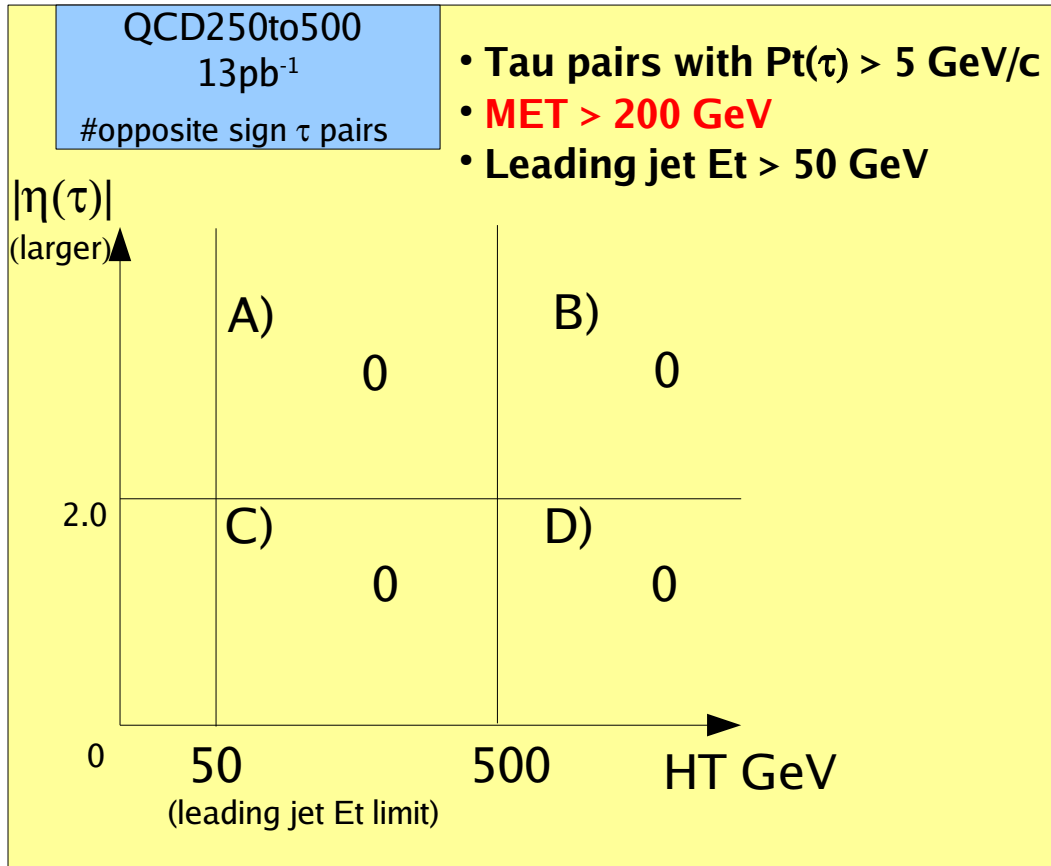


Note; This is very rough estimation.  
 (Not taking any correlation into accounts.)

“MET > 200 GeV probability,”  
 $2.3 / 9718049 = 2.4 \times 10^{-7}$  (90% C.L.)

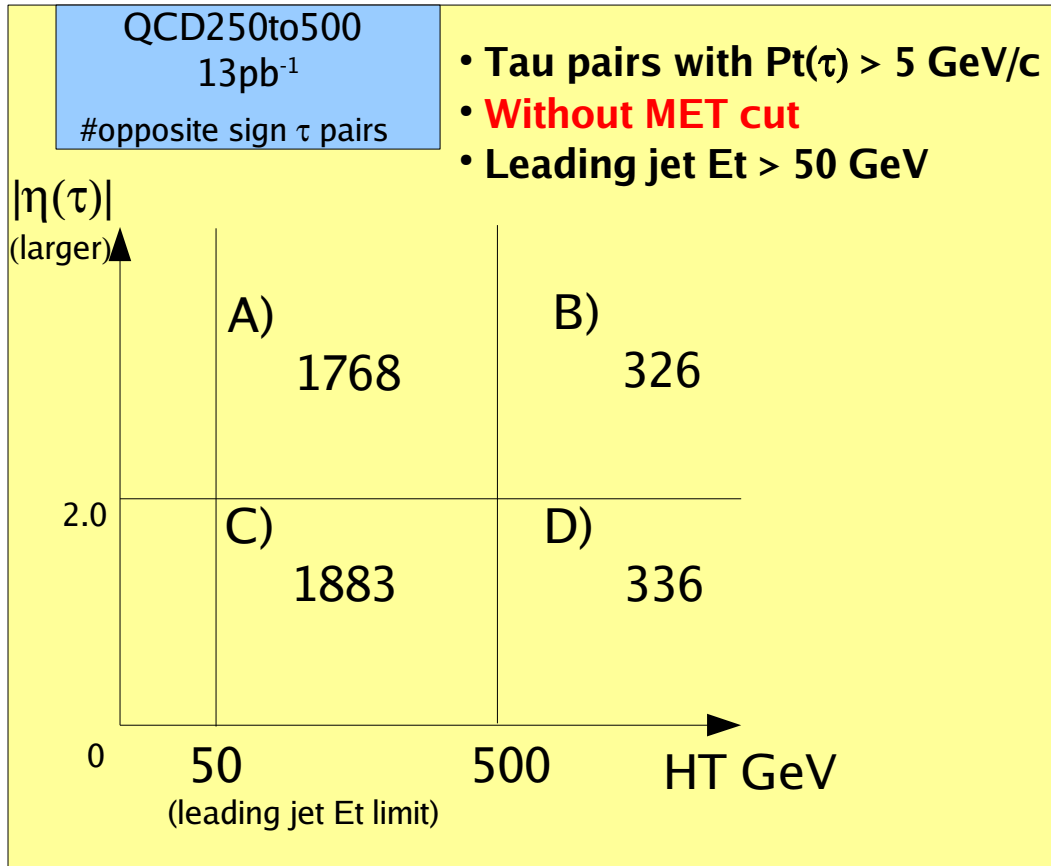
# Backup; ABCD method test (11)

[QCD ( $250\text{GeV} < \text{HT} < 500\text{GeV}$ ) contamination]



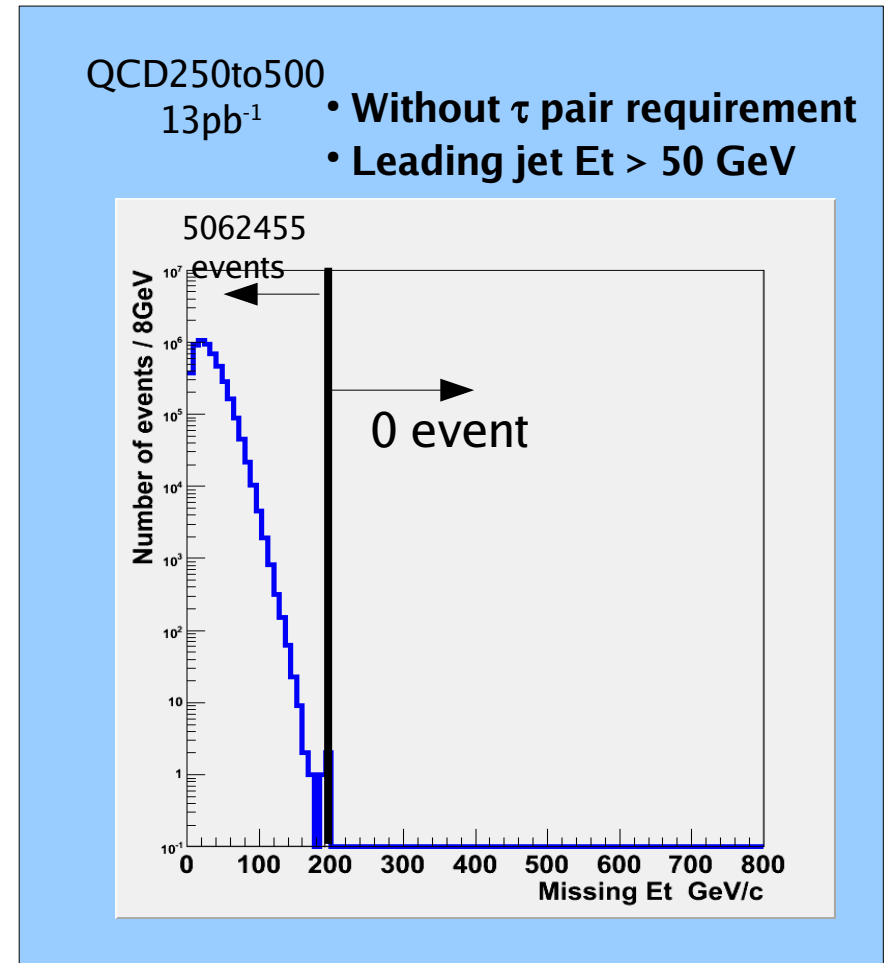
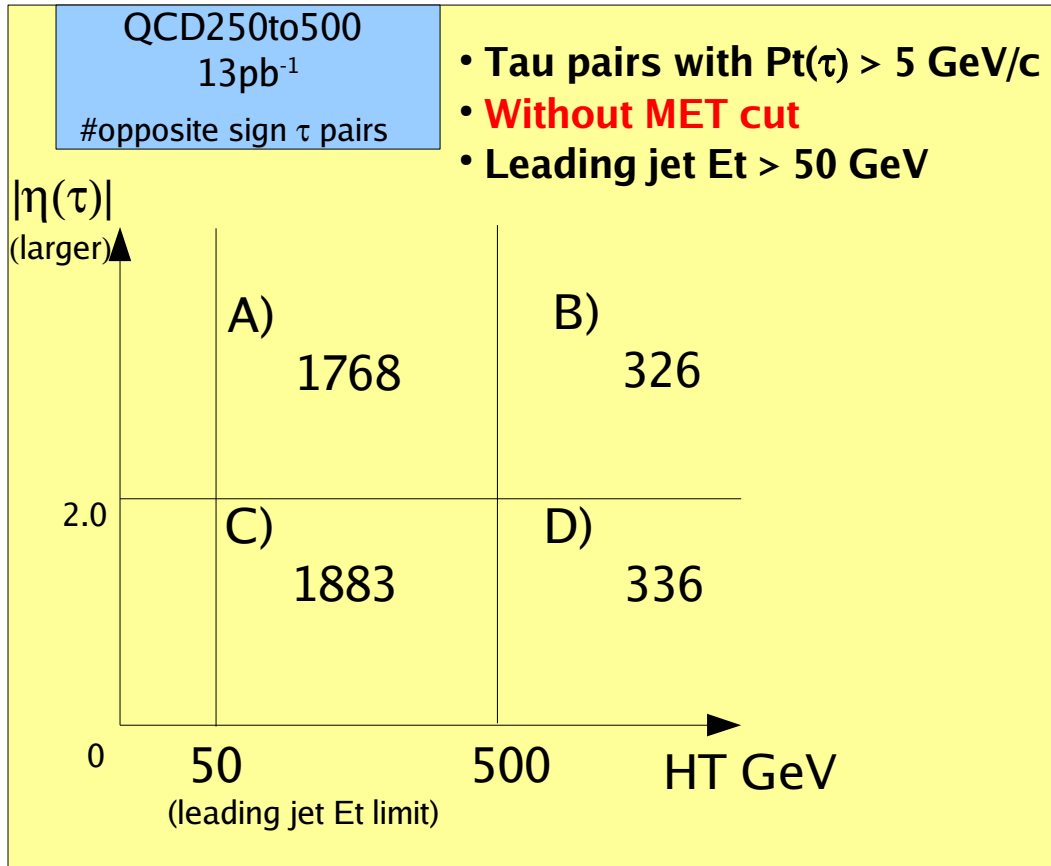
# Backup; ABCD method test (11)

[QCD ( $250\text{GeV} < \text{HT} < 500\text{GeV}$ ) contamination]



# Backup; ABCD method test (11)

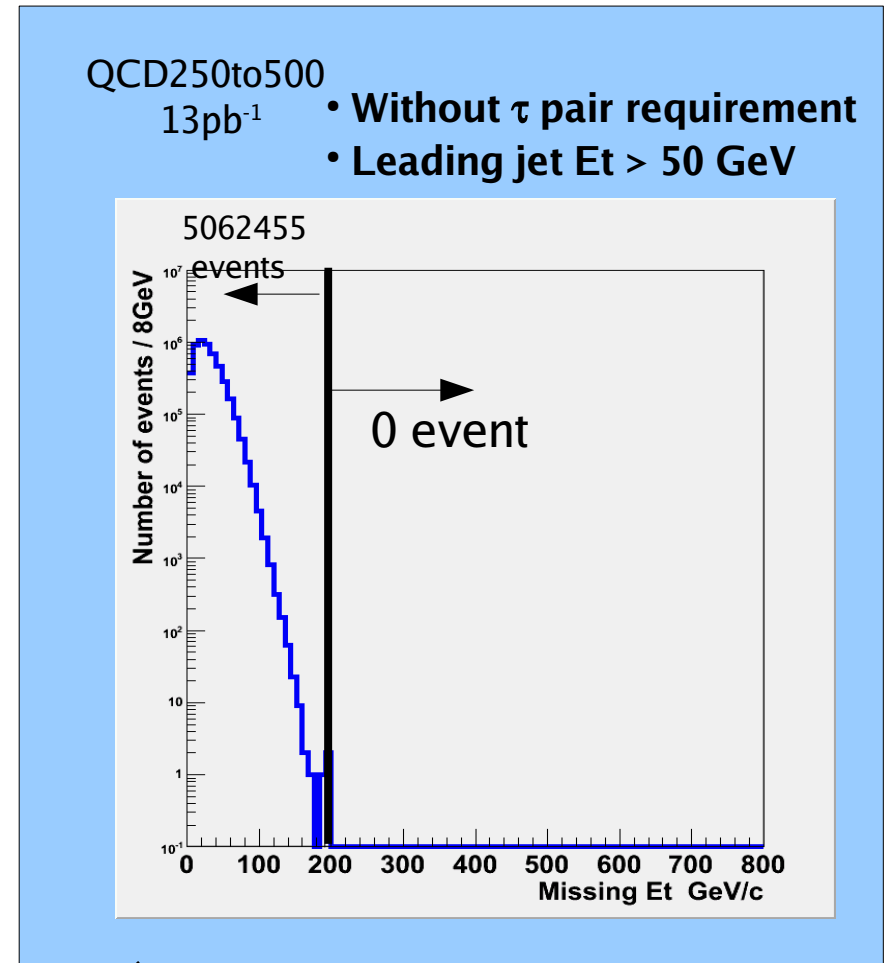
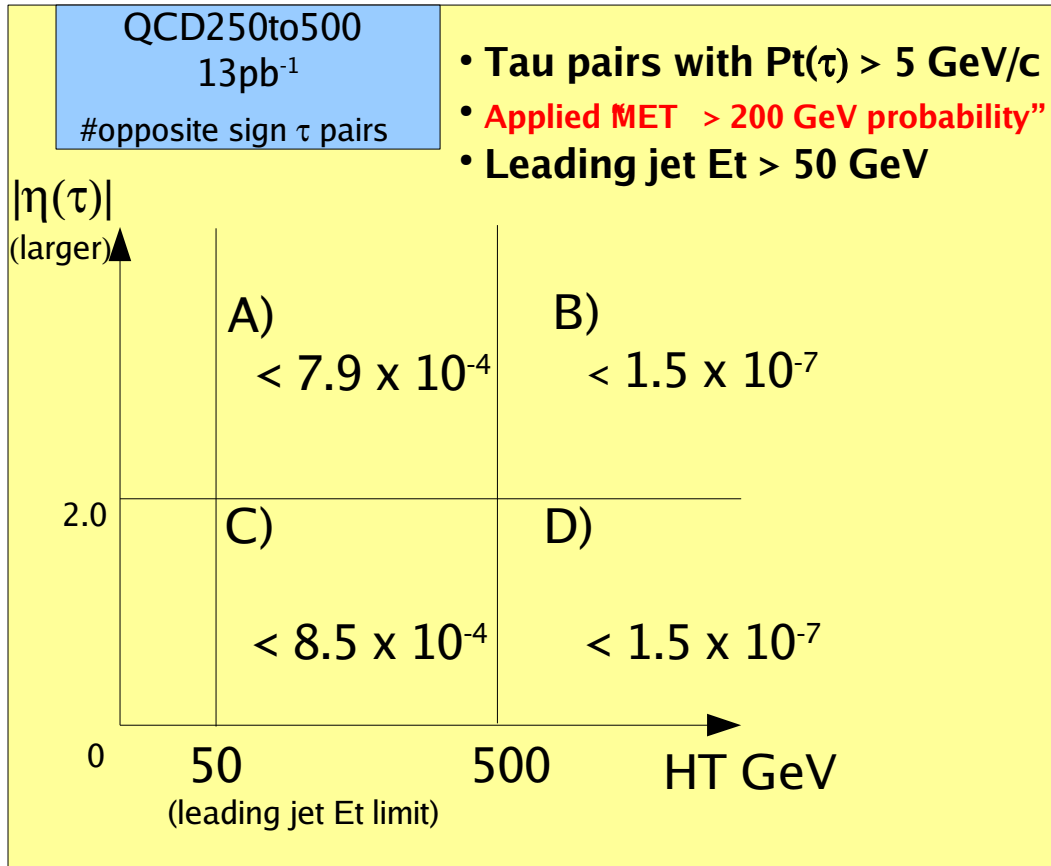
## [QCD ( $250\text{GeV} < HT < 500\text{GeV}$ ) contamination]



“MET > 200 GeV probability,”  
 $2.3 / 5062455 = 4.5 \times 10^{-7}$  (90% C.L.)

# Backup; ABCD method test (11)

## [QCD (250GeV < HT < 500GeV) contamination]

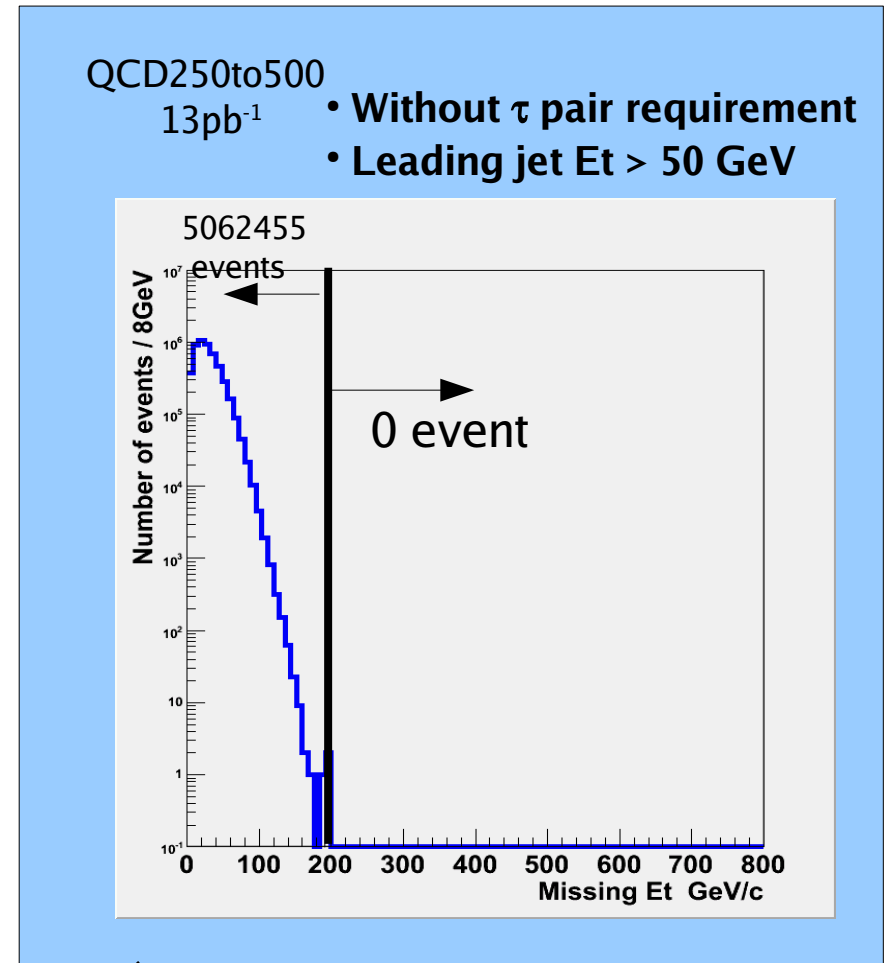
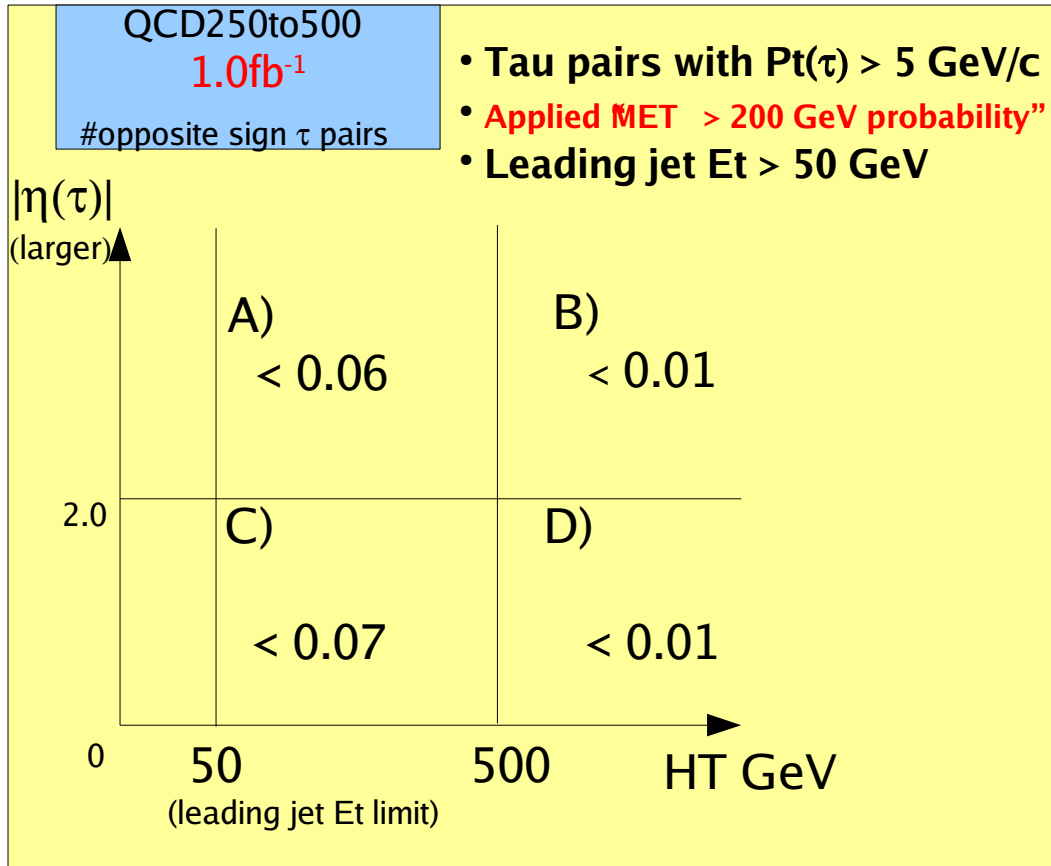


Note; This is very rough estimation.  
(Not taking any correlation into accounts.)

“MET > 200 GeV probability,”  
 $2.3 / 5062455 = 4.5 \times 10^{-7}$  (90% C.L.)

# Backup; ABCD method test (11)

## [QCD (250GeV < HT < 500GeV) contamination]



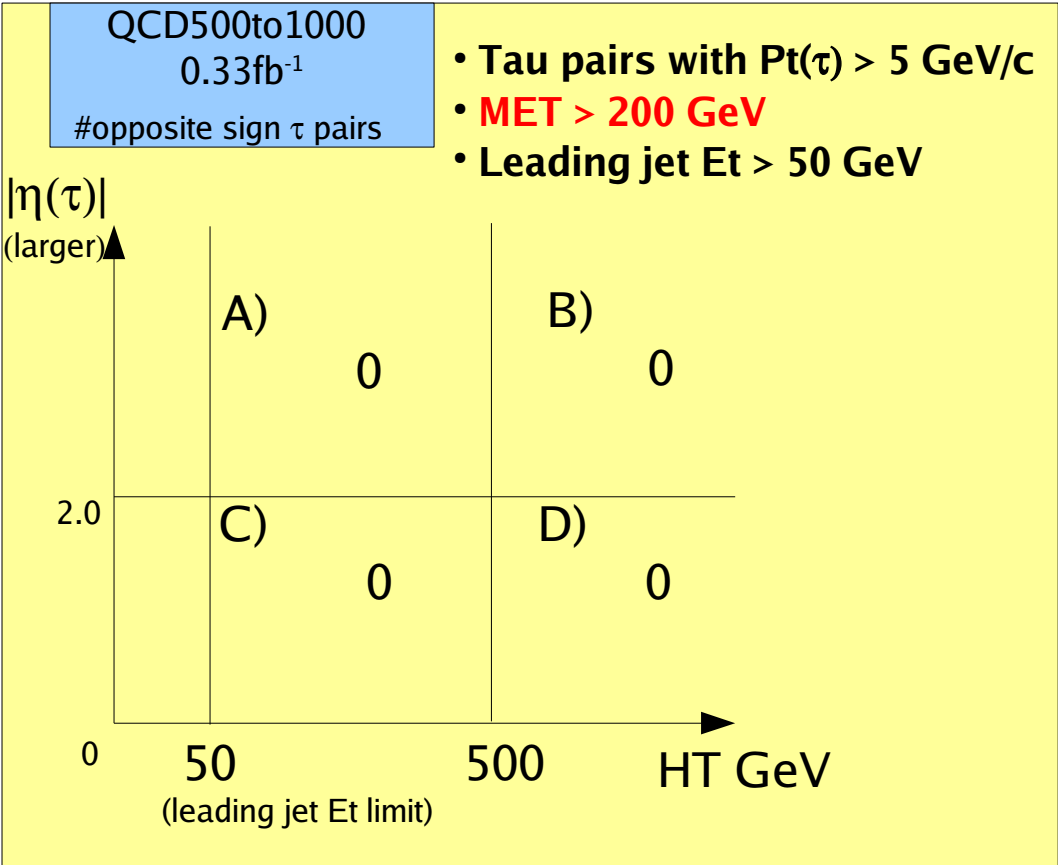
Note; This is very rough estimation.  
 (Not taking any correlation into accounts.)

“MET > 200 GeV probability”,  
 $2.3 / 5062455 = 4.5 \times 10^{-7}$  (90% C.L.)



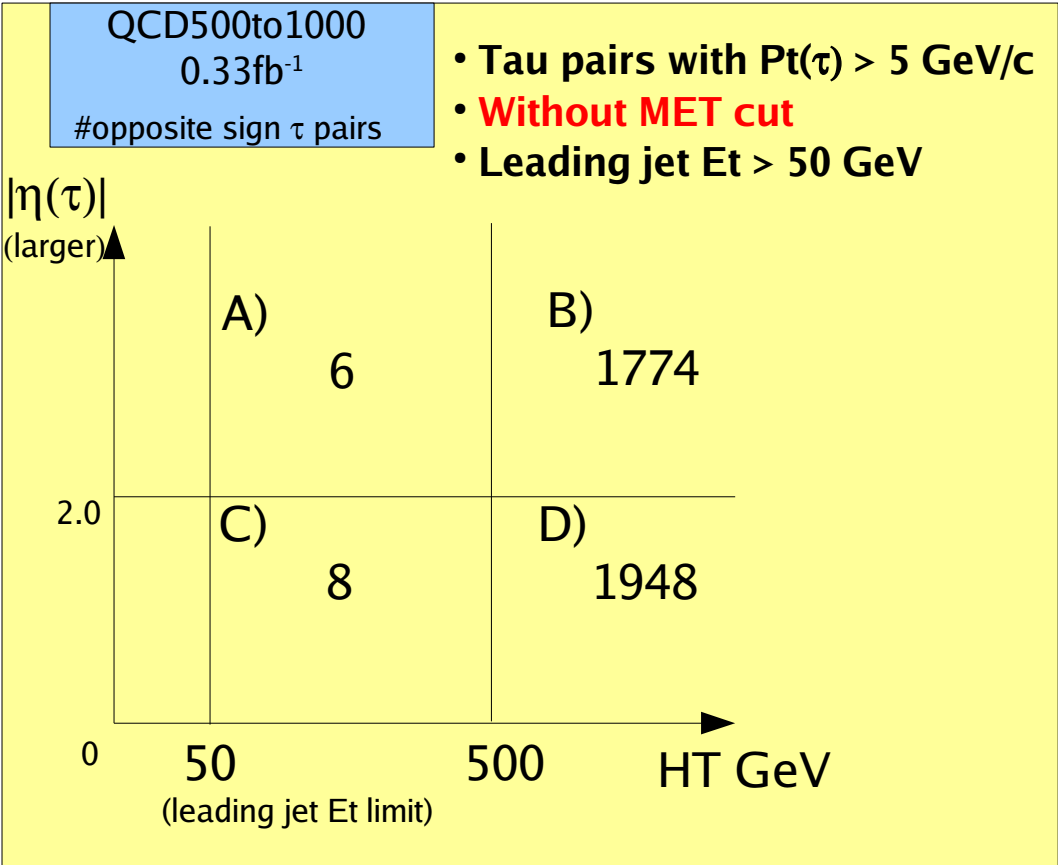
# Backup; ABCD method test (12)

[QCD ( $500\text{GeV} < HT < 1000\text{GeV}$ ) contamination]



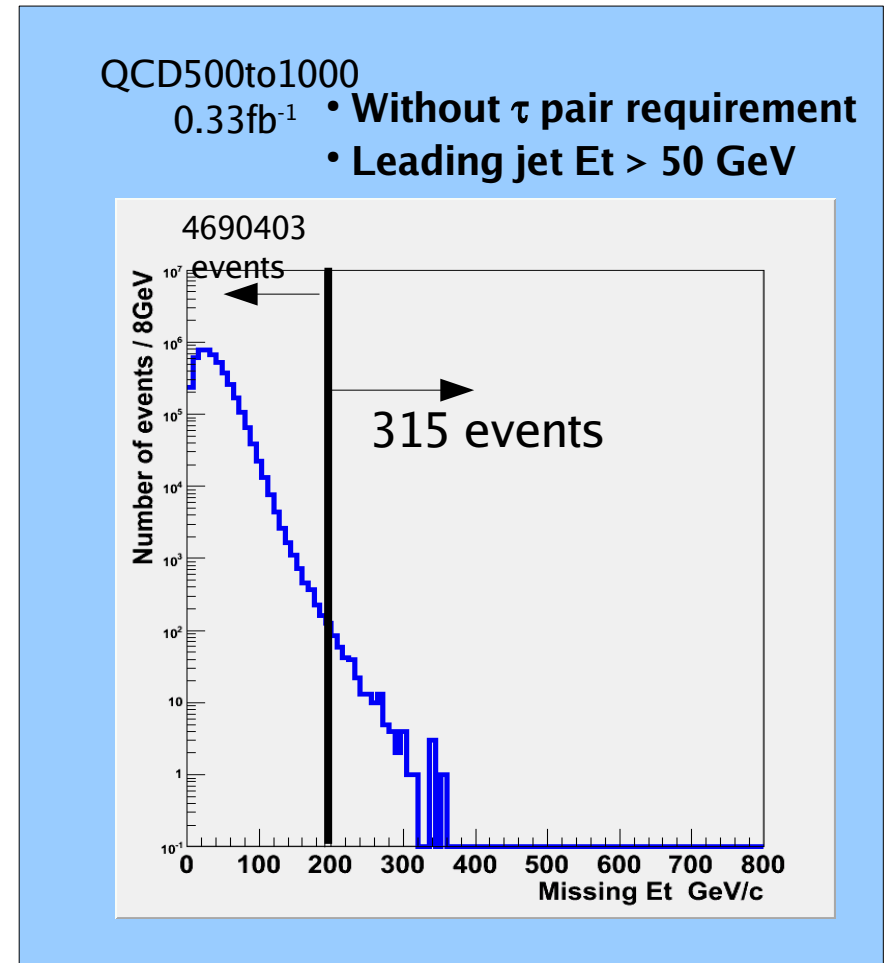
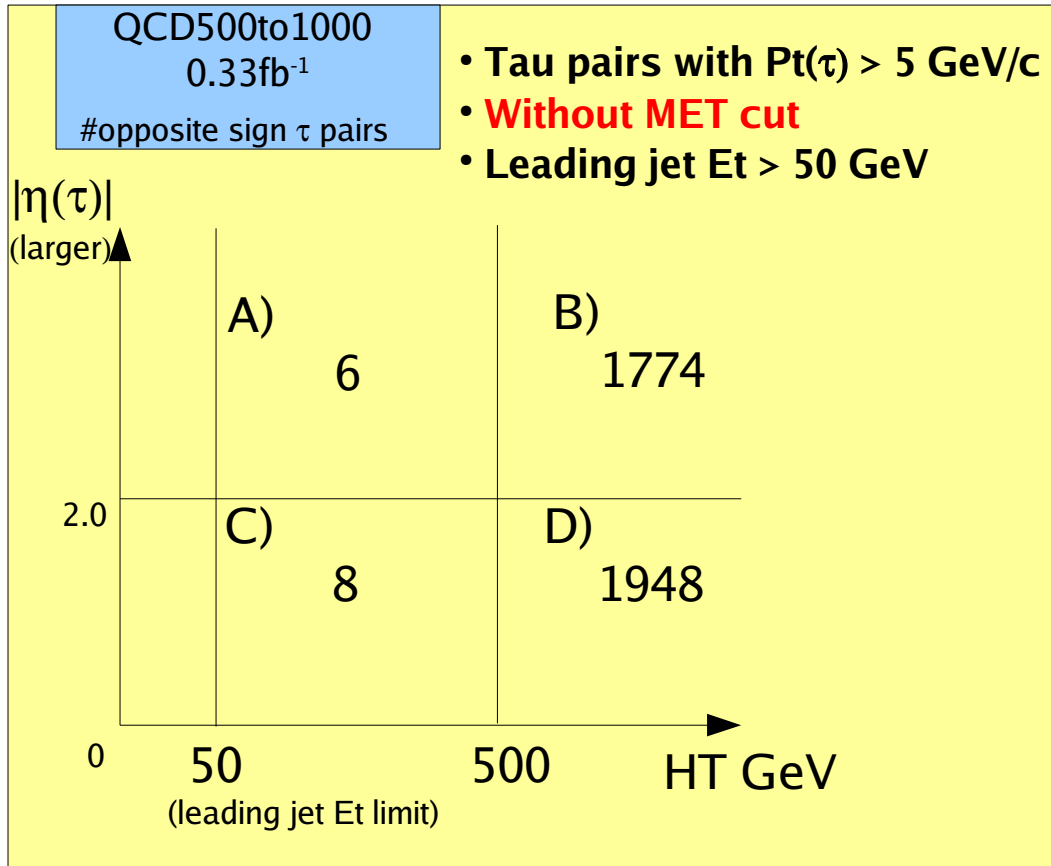
# Backup; ABCD method test (12)

[QCD ( $500\text{GeV} < HT < 1000\text{GeV}$ ) contamination]



# Backup; ABCD method test (12)

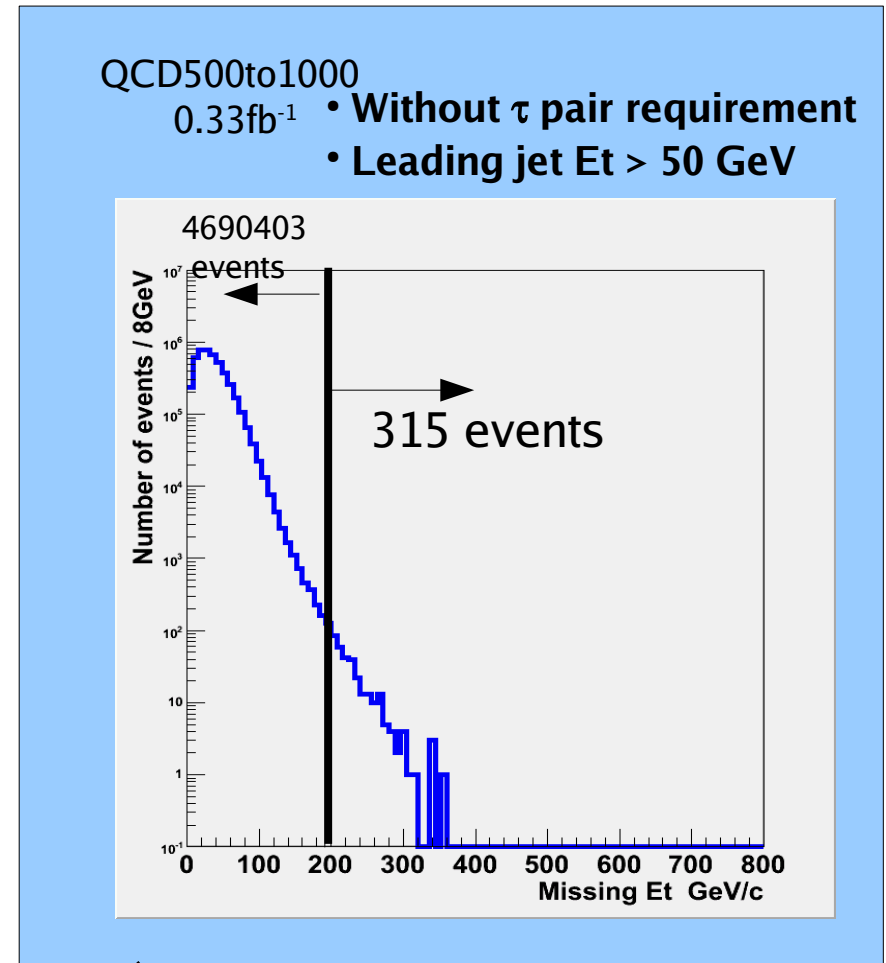
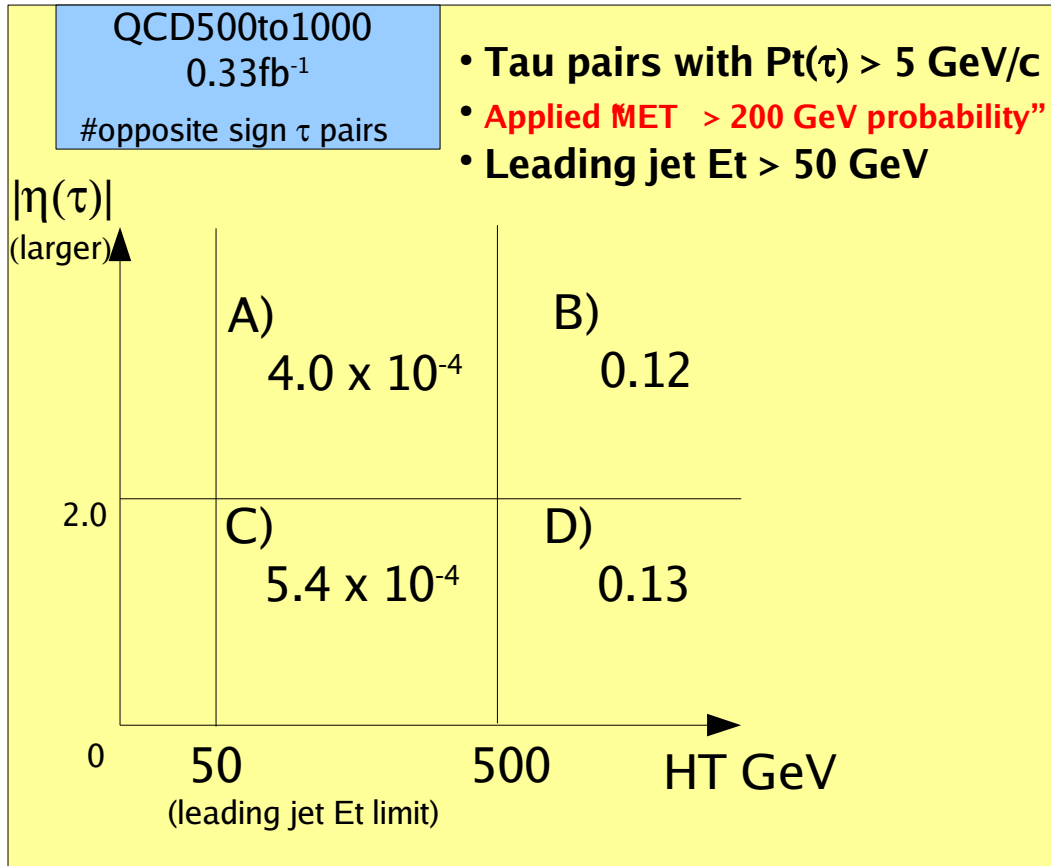
## [QCD ( $500\text{GeV} < HT < 1000\text{GeV}$ ) contamination]



“MET > 200 GeV probability”,  
 $315 / 4690403 = 6.7 \times 10^{-5}$

# Backup; ABCD method test (12)

## [QCD ( $500\text{GeV} < \text{HT} < 1000\text{GeV}$ ) contamination]

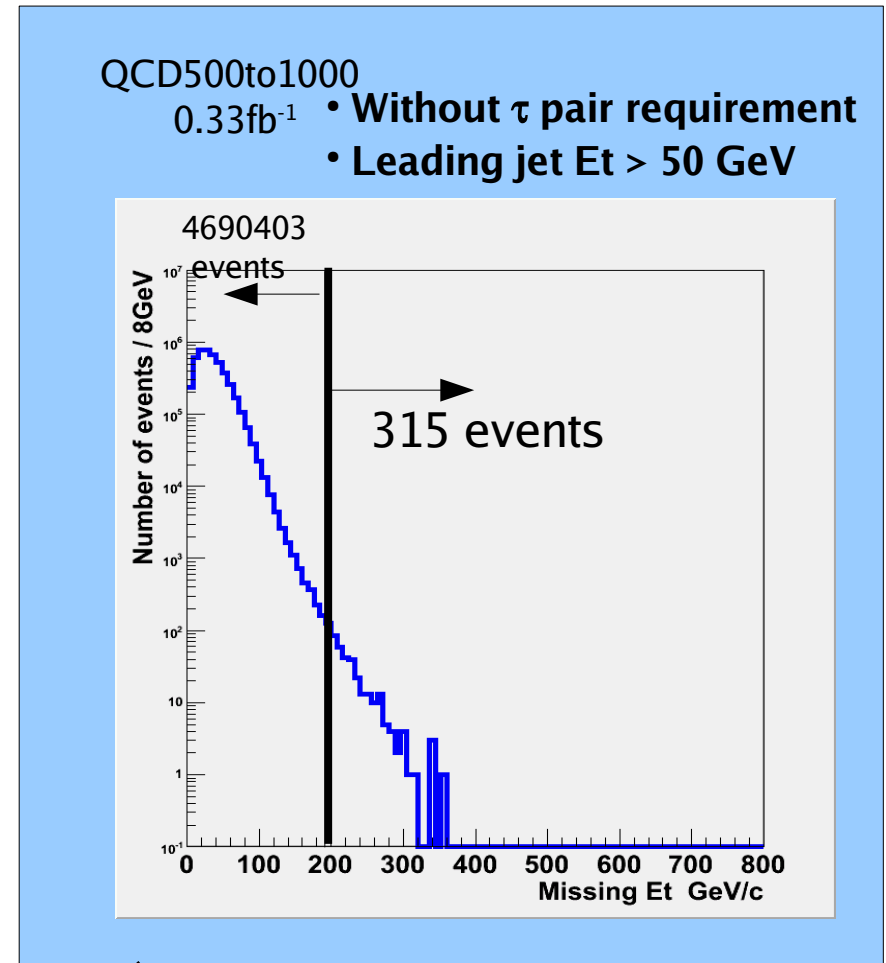
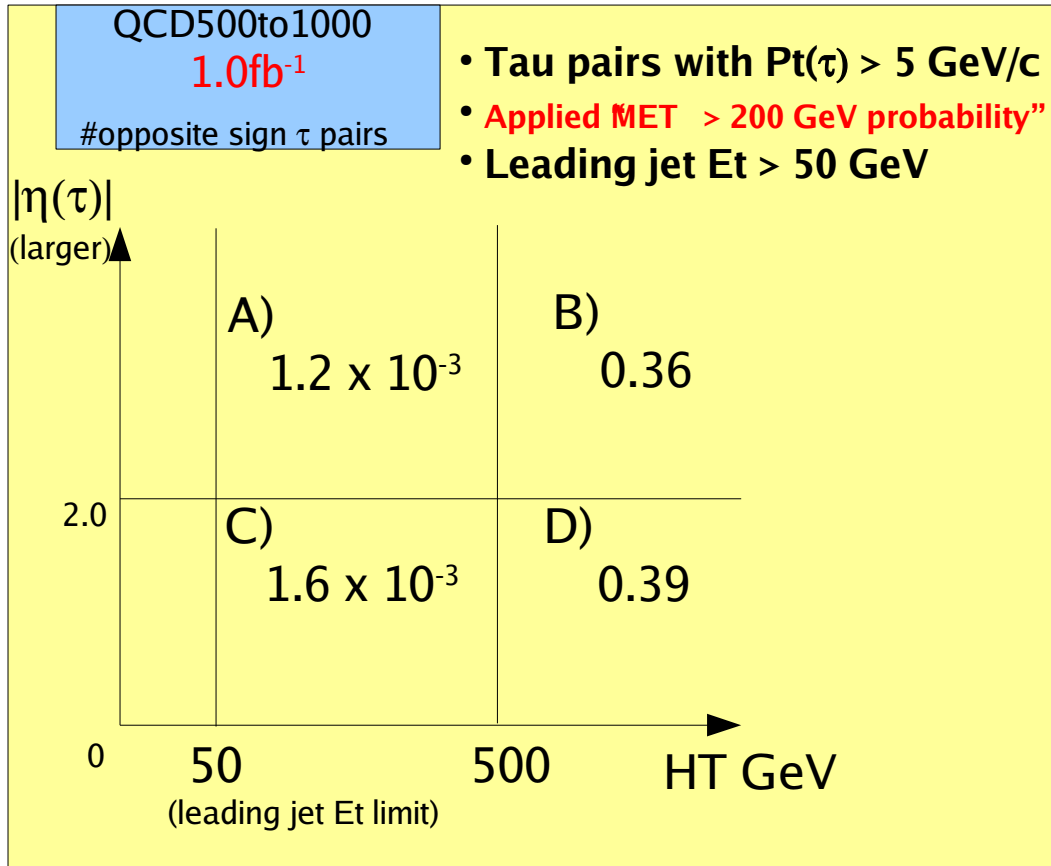


Note; This is very rough estimation.  
 (Not taking any correlation into accounts.)

"MET > 200 GeV probability",  
 $315 / 4690403 = 6.7 \times 10^{-5}$

# Backup; ABCD method (12)

[QCD ( $500\text{GeV} < \text{HT} < 1000\text{GeV}$ ) contamination]

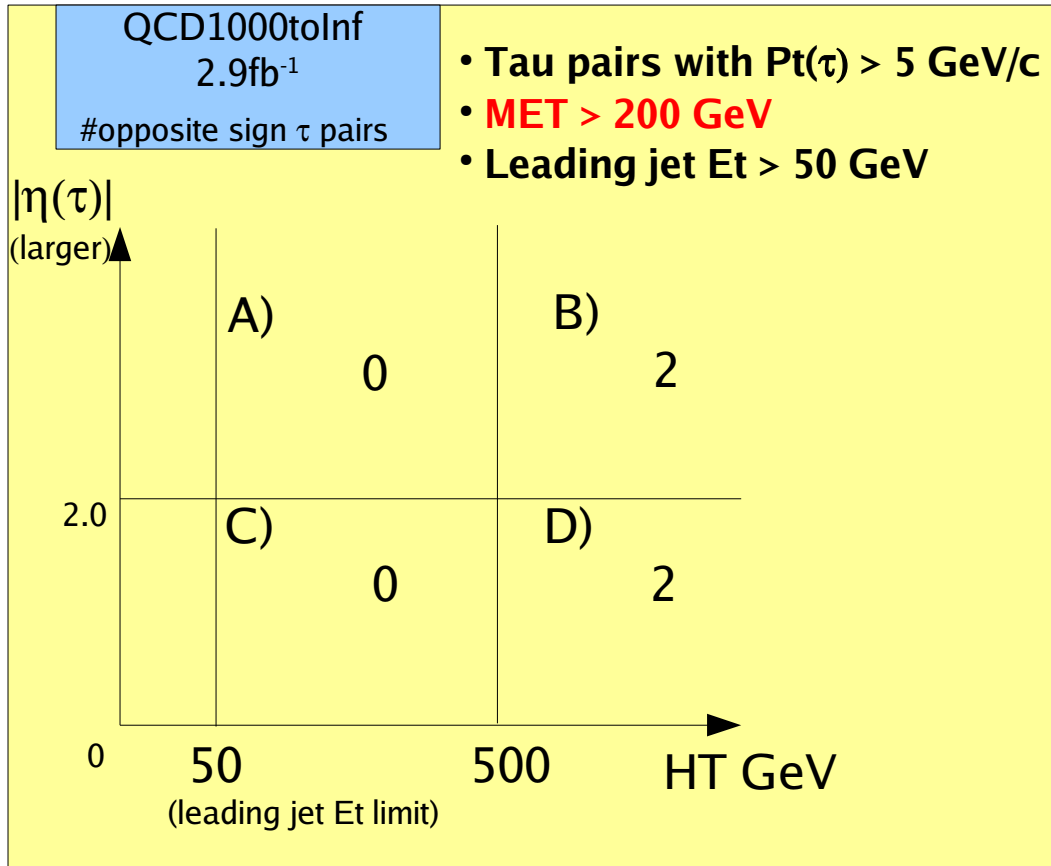


Note; This is very rough estimation.  
 (Not taking any correlation into accounts.)

"MET > 200 GeV probability",  
 $315 / 4690403 = 6.7 \times 10^{-5}$

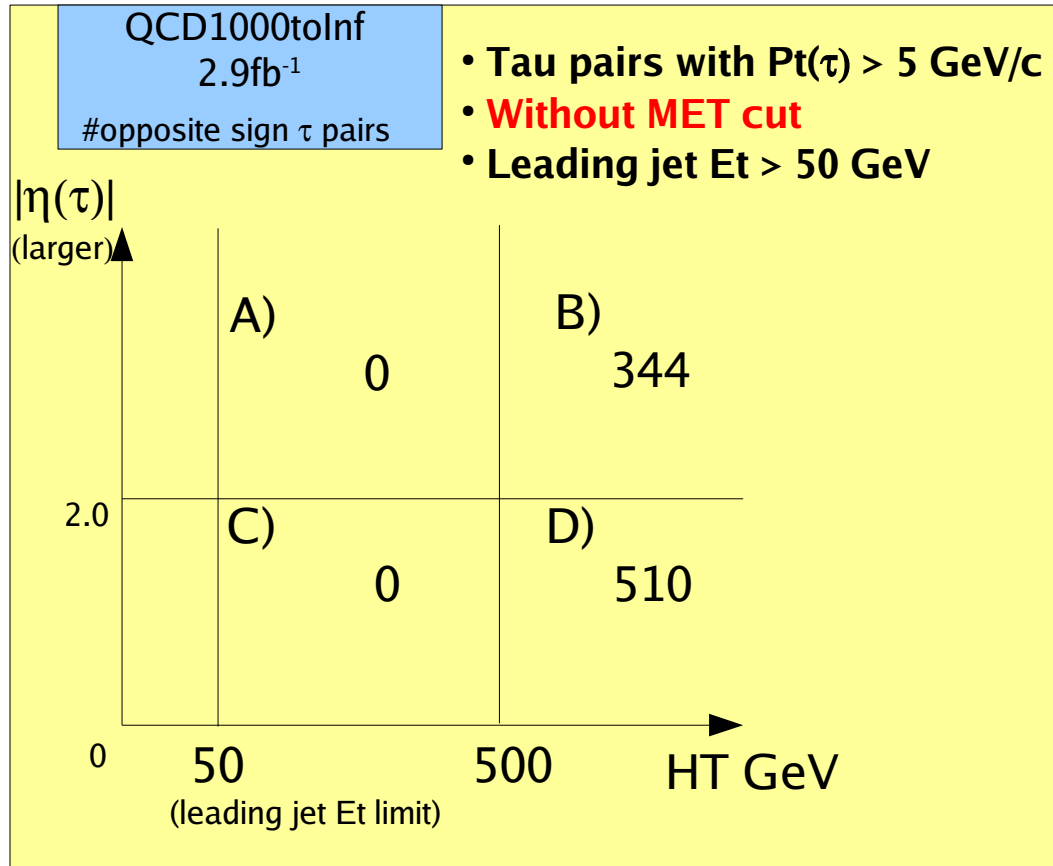
# Backup; ABCD method test (13)

[QCD ( $1000\text{GeV} < HT < \text{Infinity}$ ) contamination]



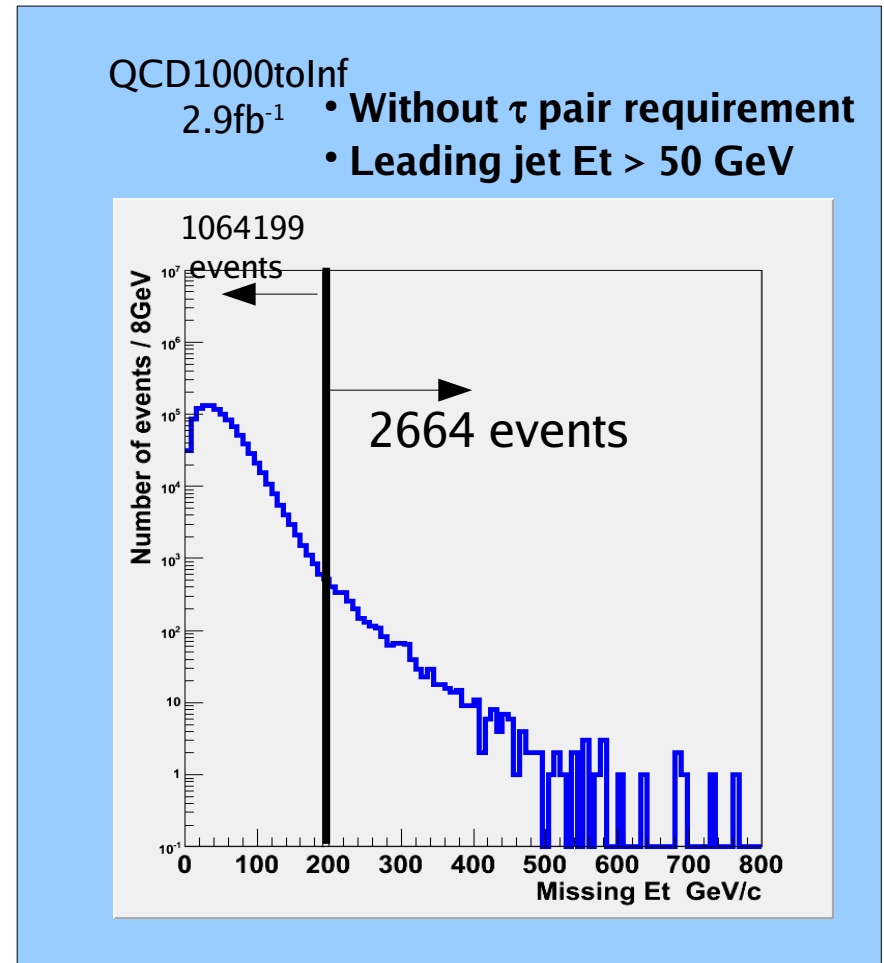
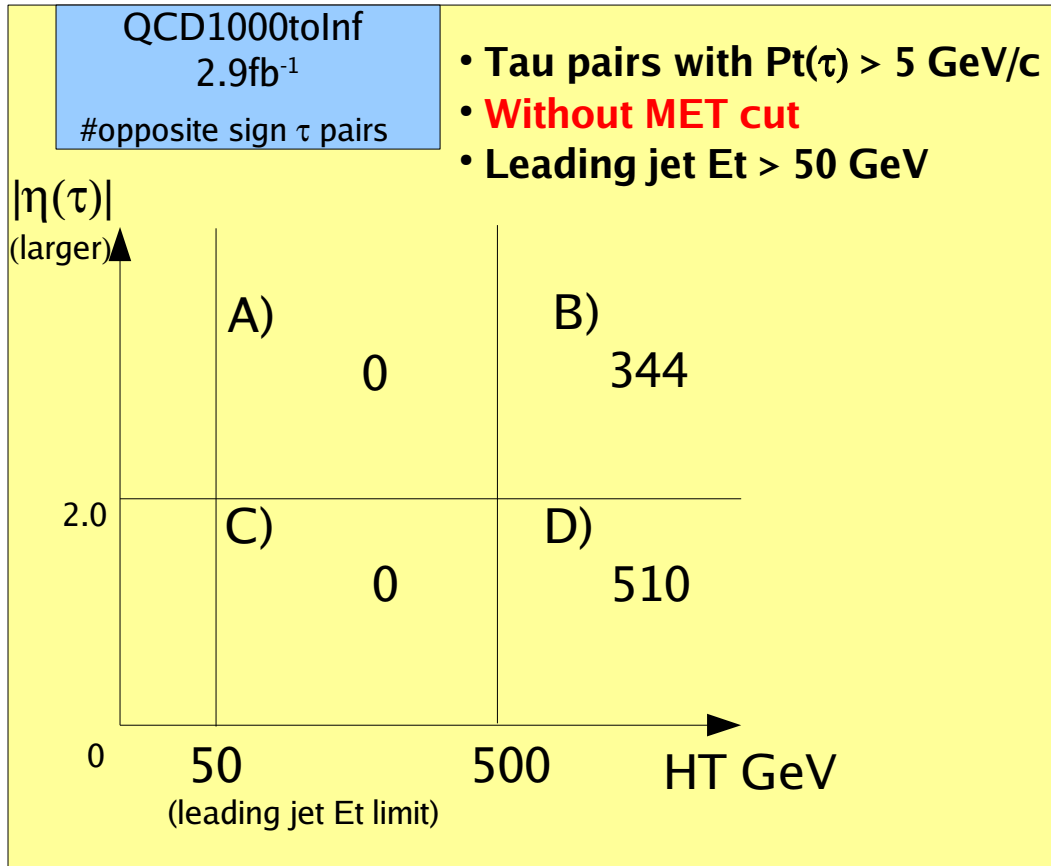
# Backup; ABCD method test (13)

[QCD ( $1000\text{GeV} < HT < \text{Infinity}$ ) contamination]



# Backup; ABCD method test (13)

## [QCD ( $1000\text{GeV} < HT < \text{Infinity}$ ) contamination]

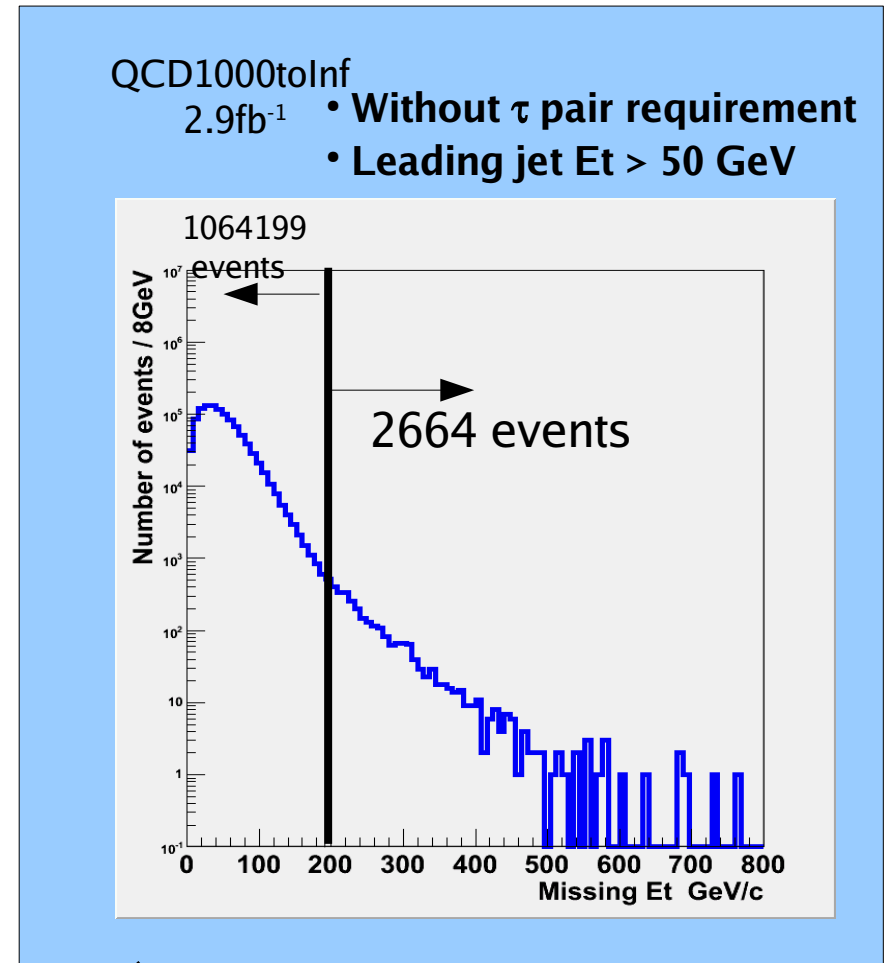
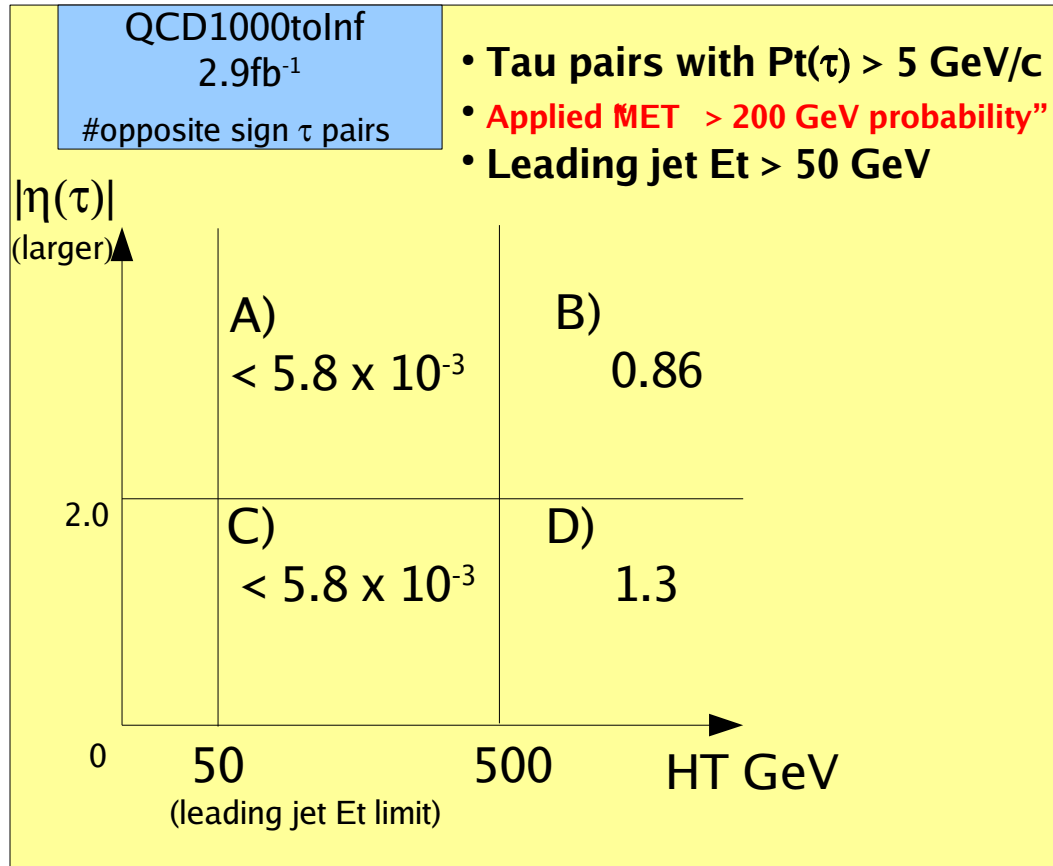


“MET > 200 GeV probability,”  
 $2664 / 1064199 = 2.5 \times 10^{-3}$



# Backup; ABCD method test (13)

## [QCD ( $1000\text{GeV} < HT < \text{Infinity}$ ) contamination]

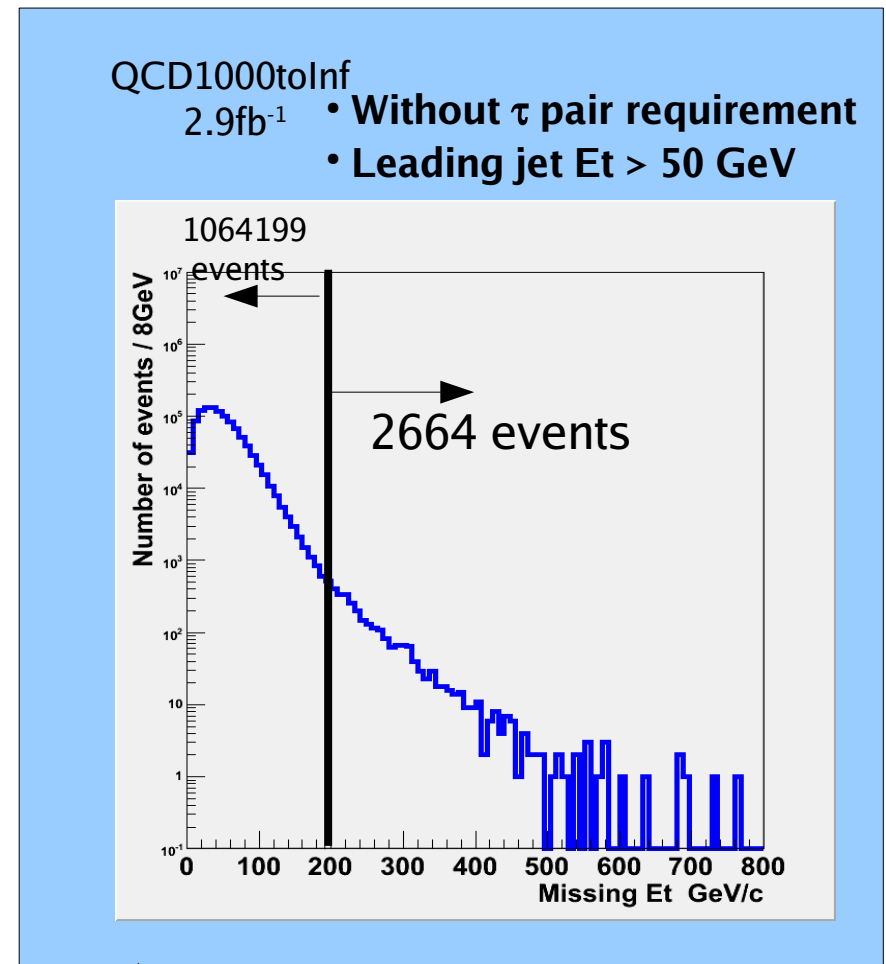
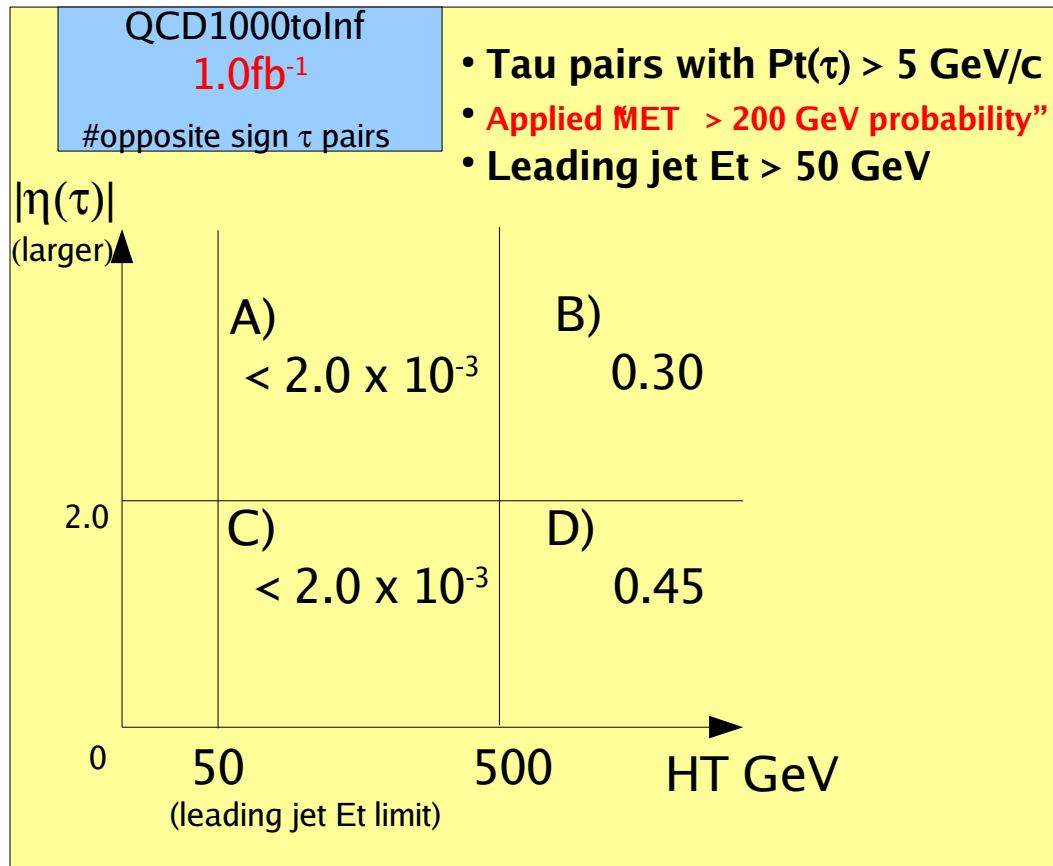


Note; This is very rough estimation.  
 (Not taking any correlation into accounts.)

"MET > 200 GeV probability",  
 $2664 / 1064199 = 2.5 \times 10^{-3}$

# Backup; ABCD method test (13)

## [QCD ( $1000\text{GeV} < HT < \text{Infinity}$ ) contamination]



Note; This is very rough estimation.  
 (Not taking any correlation into accounts.)

"MET > 200 GeV probability",  
 $2664 / 1064199 = 2.5 \times 10^{-3}$

# ABCD method test (11)

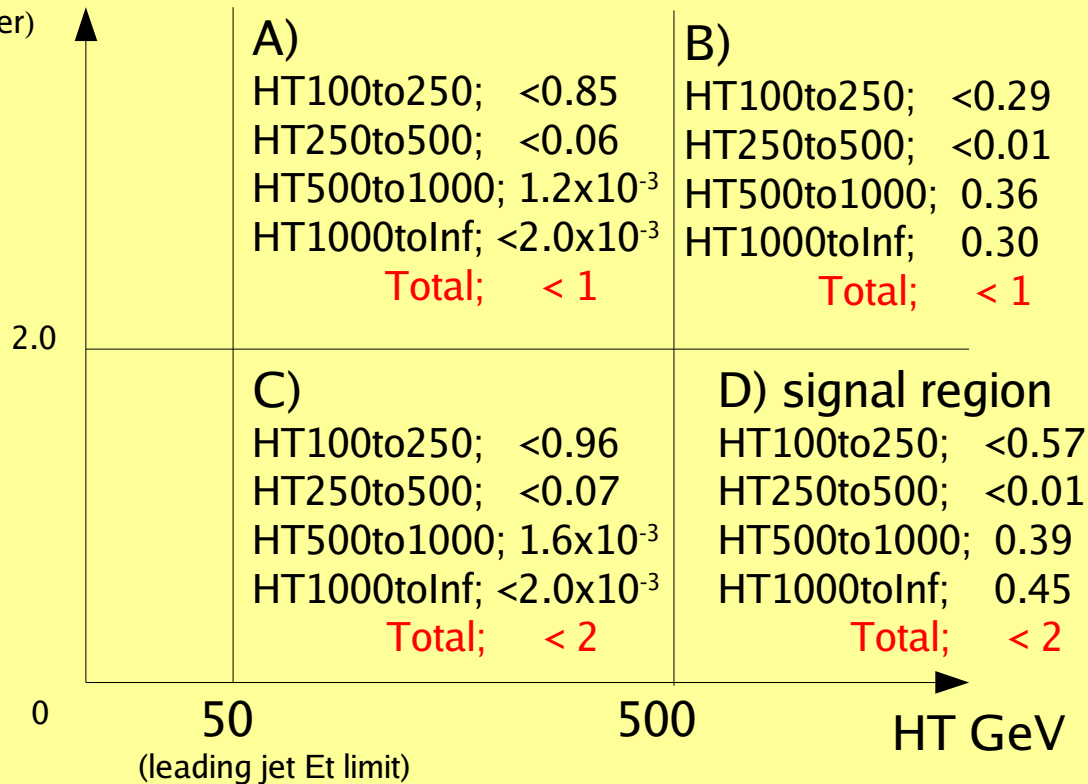
## [QCD at $1\text{fb}^{-1}$ ]

QCD  $1.0\text{fb}^{-1}$

#opposite sign  $\tau$  pairs

- Tau pairs with  $Pt(\tau) > 5 \text{ GeV}/c$
- **Applied “MET > 200 GeV probability”**
- Leading jet  $E_t > 50 \text{ GeV}$

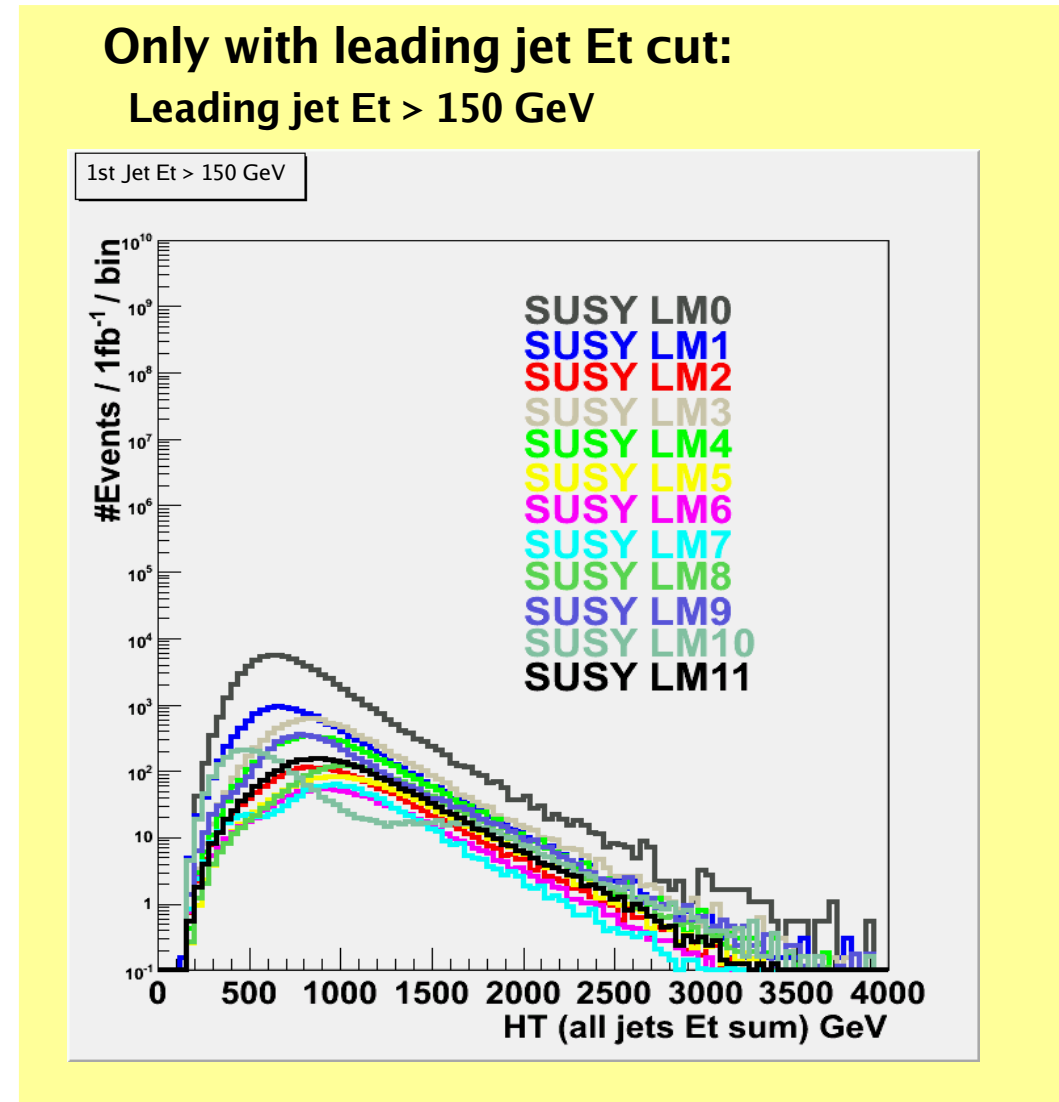
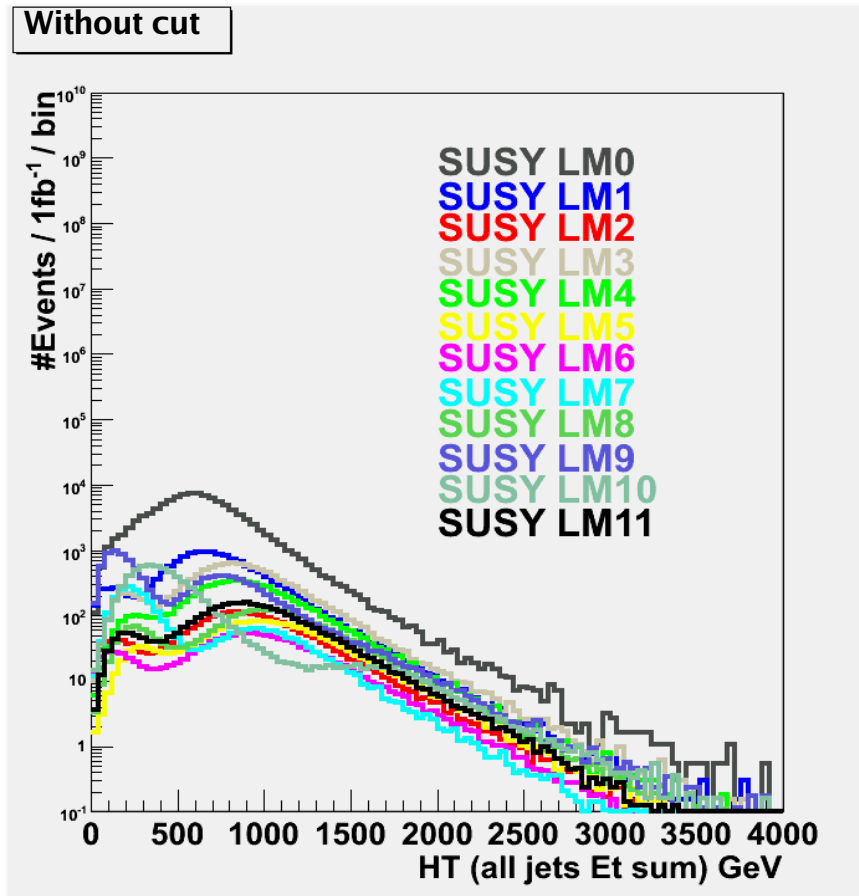
$|\eta(\tau)|$   
(larger)



Control region definitions are not yet optimized at all.

Note; This is very rough estimation for individual A, B, C or D, since MET and HT are correlated. However, ABCD sum is not so bad estimation. (though just in this MC)

# Backup; HT low energy bump

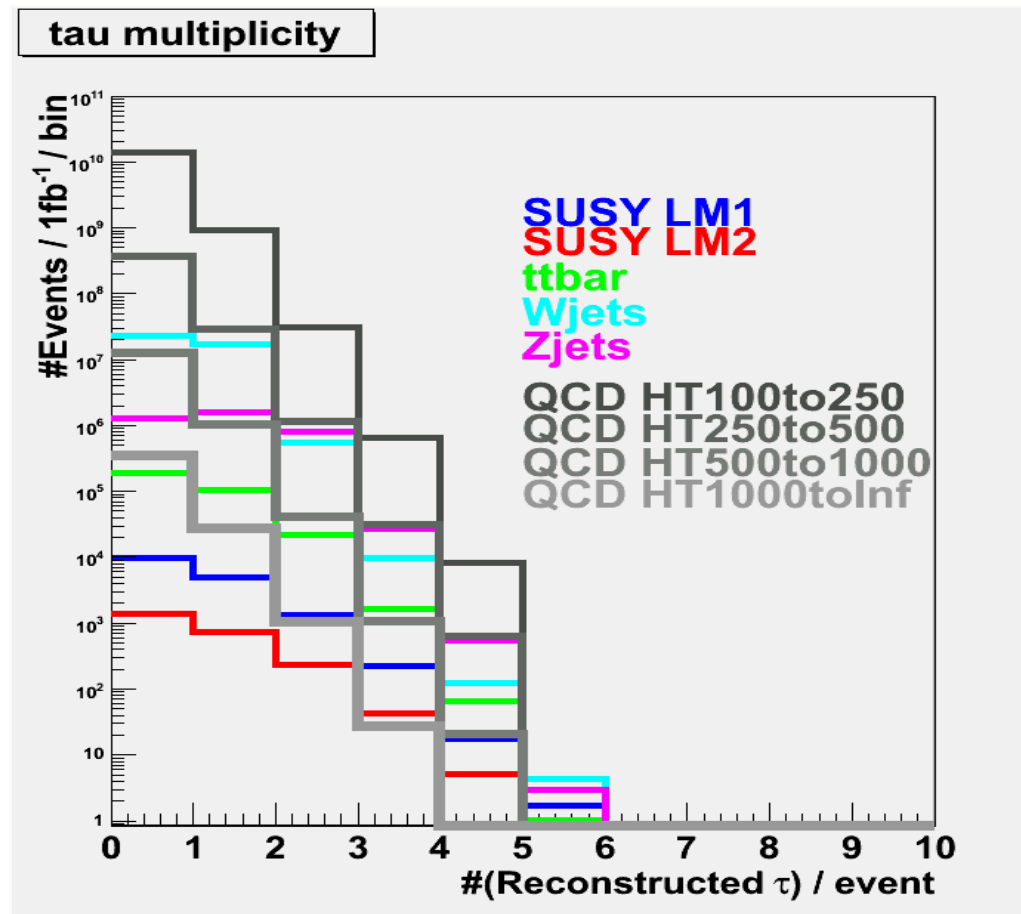


Note: The bump would be the case of that the real leading jet is out of the detector acceptance.

# Backup;

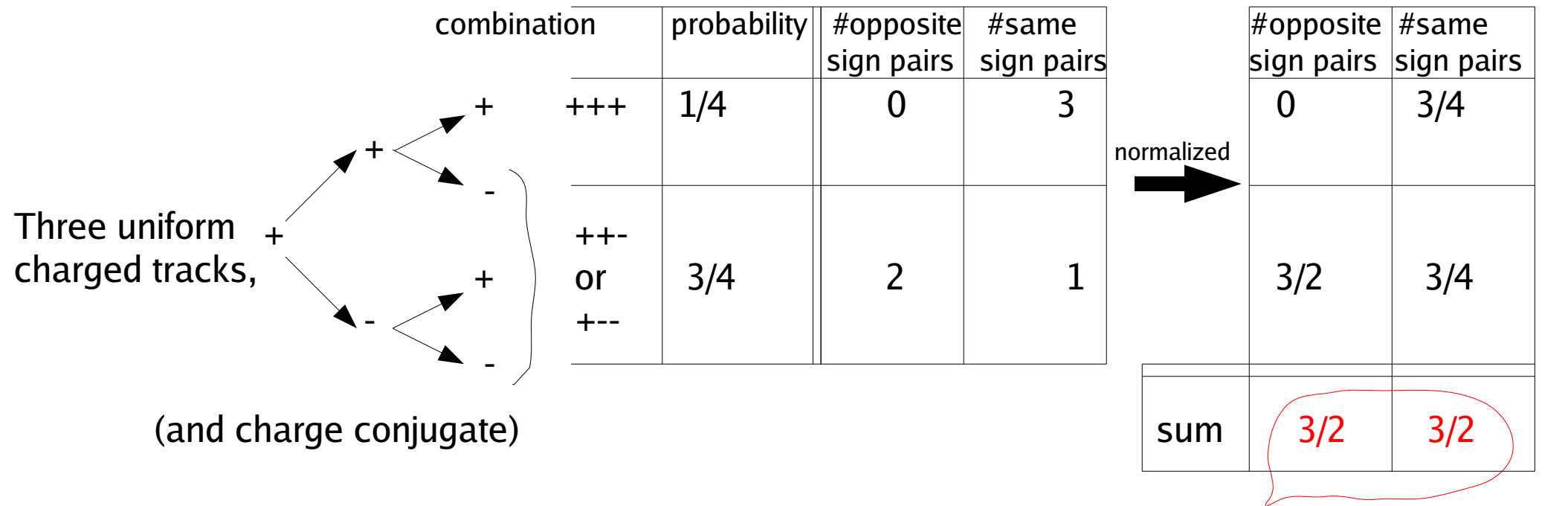
## Reconstructed $\tau$ multiplicity

Without any cut  
(It is PAT- $\tau$  default.)



# Backup:

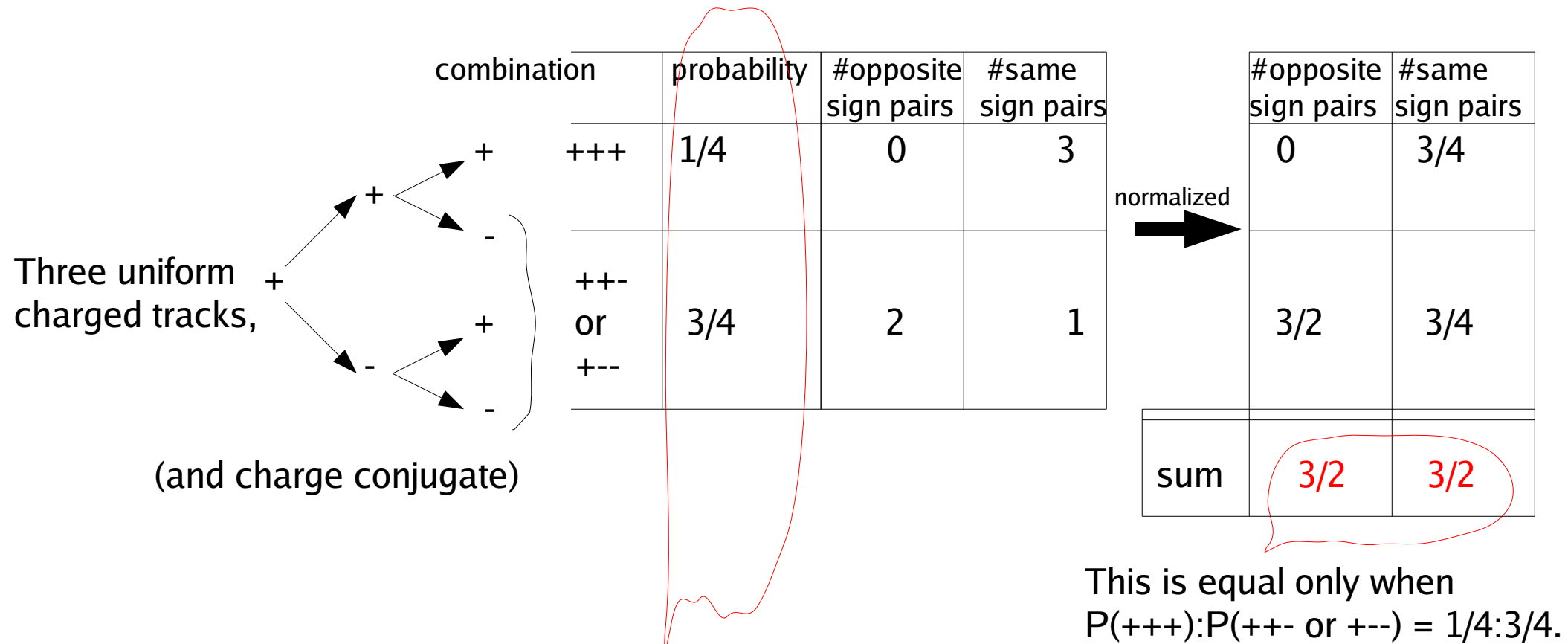
## Discussion for combinatorics (Case of three charged tracks)



This is equal only when  
 $P(+++):P(++- \text{ or } +--) = 1/4:3/4$ .

# Backup:

## Discussion for combinatorics (Case of three charged tracks)



In fact, this probability assumption may not be correct due to the initial pp charge constraint.

# Backup:

## Discussion for combinatorics (general case)

Just repeated the same calculation with the previous slide for different cases.

- #tracks = 2 case, #opposite sign pair = 1  
#same sign pair = 1
- #tracks = 3 case, #opposite sign pair = 3 [ Twice (charge conjugate) of  
#same sign pair = 3 the previous slide.]
- #tracks = 4 case, #opposite sign pair = 6  
#same sign pair = 6
- #tracks = 5 case, #opposite sign pair = 10  
#same sign pair = 10

In any case, #opposite sign pairs = #same sign pairs.