

New ways for CP violation studies in $t\bar{t}H$ events

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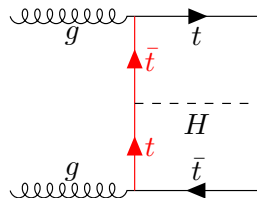
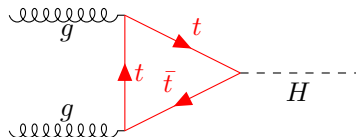
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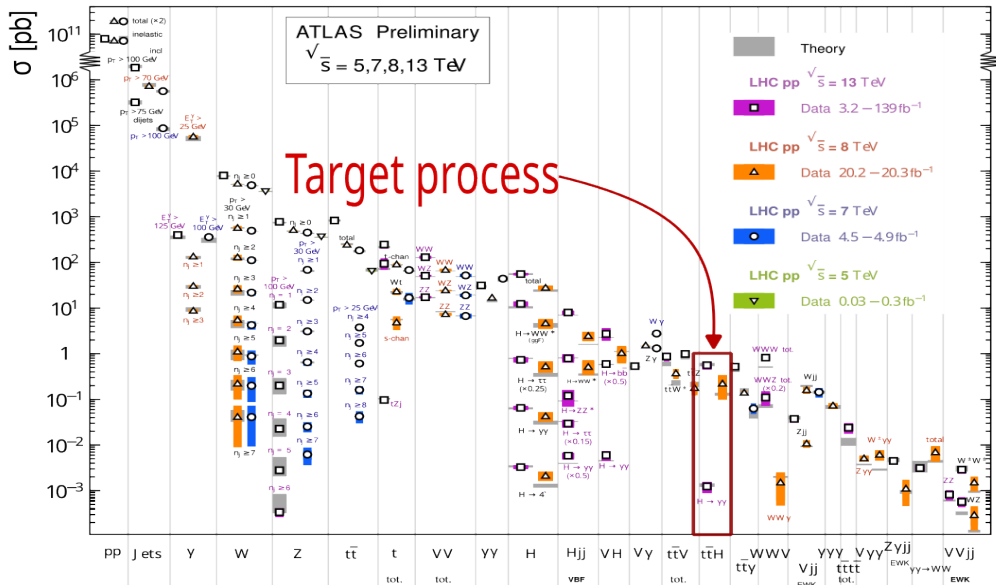
$t\bar{t}H$ channel & CP nature of the Higgs

- Yukawa interactions account for fermion masses in the SM
- Measurement of Yukawa coupling of Higgs to fermions important probe for new physics
- Coupling proportional to mass, of the order of unity for the top quark
- Only $t\bar{t}H$ can directly probe the top-Higgs coupling at tree level
- Sensitive to effects beyond the SM i.e CP violation



Standard Model Production Cross Section Measurements

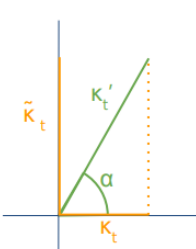
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- CP structure in $t\bar{t}H$ can be parametrized as a **complex phase** in SM Lagrangian:

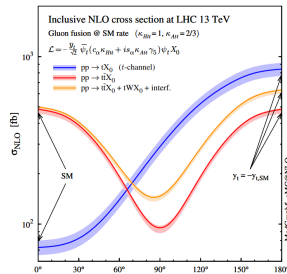
$$\mathcal{L} = -\frac{m_t}{v} \{ \bar{\psi}_t \kappa_t [\cos(\alpha) + i \sin(\alpha) \gamma_5] \psi_t \} H$$

- In this model $\alpha = 0$ implies no CP-violation

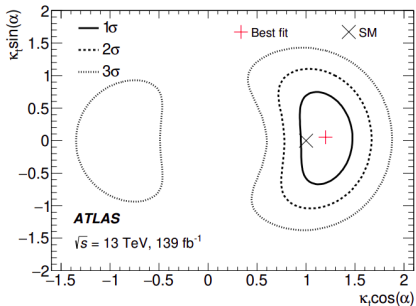


$$\begin{aligned} \kappa_t &\equiv \kappa'_t \cos \alpha \\ \tilde{\kappa}_t &\equiv \kappa'_t \sin \alpha \end{aligned}$$

- Need to isolate $t\bar{t}H$ coupling (i.e tree-level)
- includes not only $t\bar{t}H$ but also tWH , tHq
- For a pure CP-odd coupling $t\bar{t}H$ is suppressed while tHq is enhanced
- The analyses need to include all these 3 processes together



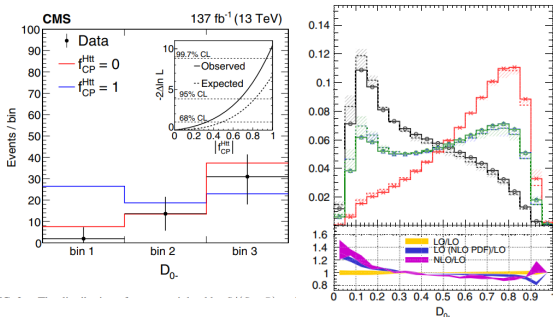
Latest CP measurements in $t\bar{t}H$



ATLAS analysis ([PRL 125, 061802](#)):

- 1 train BDT to separate $t\bar{t}H$ from background (BKG Discriminant)
- 2 BDT trained to separate CP-even from CP-odd couplings (CP Discriminant)

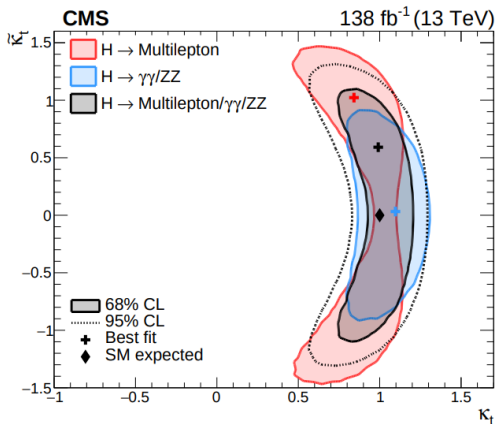
CP-odd excluded with 3.9σ , $|\alpha| > 43$ at 95% CL



CMS analysis ([PRL 125, 061801](#)):

- Same strategy using MVAs to separate BKGs and CP-odd from CP-even
- Use of the parametrization:

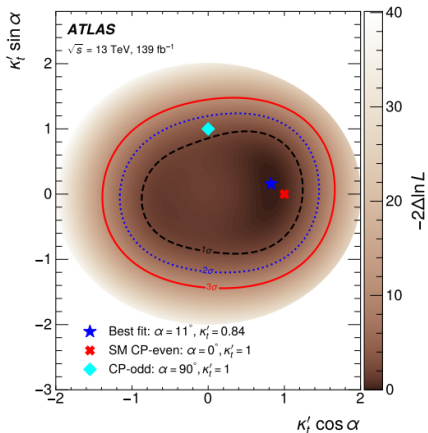
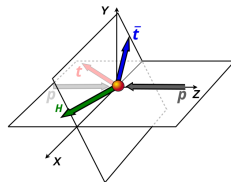
$$f_{CP}^{t\bar{t}H} = \frac{|\tilde{\kappa}_t|^2}{|\kappa_t|^2 + |\tilde{\kappa}_t|^2} \text{sign}(\tilde{\kappa}_t/\kappa_t).$$
- Observed $f_{CP}^{t\bar{t}H} = 0.00 \pm 0.33$ at 95% and pure CP-odd coupling excluded at 3.2σ .



- Similar methodology in multi-lepton (CP-odd excluded at $> 2\sigma$) and $H \rightarrow VV \rightarrow 4\ell$ channels (CP-odd excluded at 3.1σ) ([arXiv:2208.02686](https://arxiv.org/abs/2208.02686) and [PRD 104, 052004](https://arxiv.org/abs/1005.2004))
- Observed combined result of $|f_{CP}^{t\bar{t}H}| < 0.55$ at 68% and pure CP-odd scenario excluded at 3.7σ .

Alternative ways to study CP violation

- Any deviation would be directly linked to CP violation
- Drawback: Might be less sensitive
- In the following we will present our studies of these relevant observables.

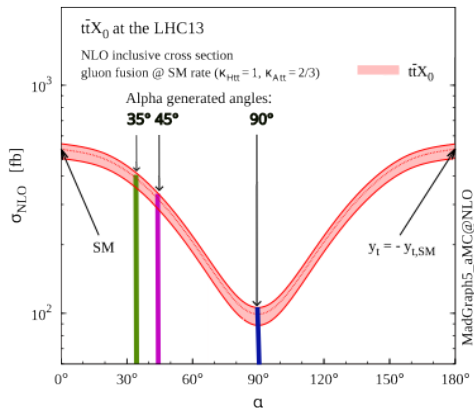


Tested in the ATLAS $t\bar{t}H \rightarrow bb$ analysis (arXiv:2303.05974), Within the signal regions the following CP sensitive variables are fitted (arXiv:hep-ph/9602226):

- $b_2 = \frac{(\vec{p}_t \times \hat{n}) \cdot (\vec{p}_{\bar{t}} \times \hat{n})}{|\vec{p}_t| |\vec{p}_{\bar{t}}|}$
- $b_4 = \frac{p_t^z p_{\bar{t}}^z}{|\vec{p}_t| |\vec{p}_{\bar{t}}|}$

Results point to $\alpha = 11^{+56}_{-77}^\circ$, with 1.2 σ rejection of pure CP-odd hypothesis.

- We are generating $t\bar{t}H$ events in the “Higgs Characterization” (HC) model (JHEP11(2013)043), with $m_b = 0$ and in the 5 flavor scheme
- As the pure CP-odd scenario seems excluded we use new benchmarks
- Decided to focus on the 45 and 35 degrees scenarios
- Studied a series of possible discriminating variables, currently at parton level, without any reconstruction effect



- Set of variables considered for the studies based on phenomenology and previous analysis works.
- Kinematics variables are still considered as can be used in combination with others to enhance the sensitivity

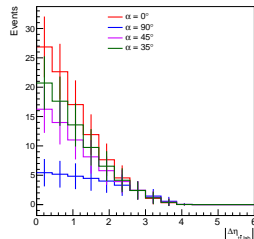
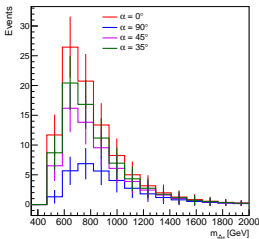
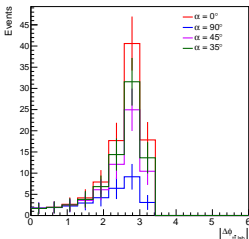
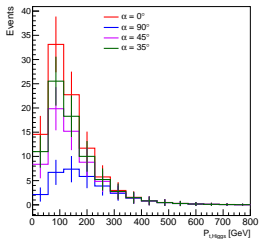
observable	definition	frame
p_T^H	-	lab, $t\bar{t}$, $t\bar{t}H$
$ \Delta\eta_{t\bar{t}} $	$ \eta_t - \eta_{\bar{t}} $	lab, H , $t\bar{t}H$
$ \Delta\phi_{t\bar{t}} $	$ \phi_t - \phi_{\bar{t}} $	lab, H , $t\bar{t}H$
$m_{t\bar{t}}$	$(p_t + p_{\bar{t}})^2$	all
$m_{t\bar{t}H}$	$(p_t + p_{\bar{t}} + p_H)^2$	all
θ^*	$\mathbf{p}_t \cdot \mathbf{n}$	$t\bar{t}$
b_1	$\frac{(\mathbf{p}_t \times \mathbf{n}) \cdot (\mathbf{p}_T \times \mathbf{n})}{p_t^2 p_T^2}$	all
b_2	$\frac{(\mathbf{p}_t \times \mathbf{n}) \cdot (\mathbf{p}_T \times \mathbf{n})}{ \mathbf{p}_t \mathbf{p}_T }$	all
b_3	$\frac{p_t^x p_T^y}{p_t^2 p_T^2}$	all
b_4	$\frac{p_t^y p_T^x}{ \mathbf{p}_t \mathbf{p}_T }$	all
$\cos(\phi_c)$	$\frac{ (\mathbf{p}_{p1} \times \mathbf{p}_{p2}) \cdot (\mathbf{p}_t \times \mathbf{p}_{\bar{t}}) }{ \mathbf{p}_{p1} \times \mathbf{p}_{p2} \mathbf{p}_t \times \mathbf{p}_{\bar{t}} }$	H
$\mathcal{A}(\phi_c)$	$\frac{N(0 < \phi_c < \pi/4) - N(\pi/4 < \phi_c < \pi/2)}{N(0 < \phi_c < \pi/4) + N(\pi/4 < \phi_c < \pi/2)}$	H

$p_t, p_{\bar{t}}, p_H$, Showing p_H

$$|\Delta\phi_{t\bar{t}}| = |\phi_t - \phi_{\bar{t}}|$$

$$m_{t\bar{t}H} = (p_t + p_{\bar{t}} + p_H)^2$$

$$|\Delta\eta_{t\bar{t}}| = |\eta_t - \eta_{\bar{t}}|$$



- Kinematic variables show a good discrimination and are easier to measure and construct.
- Considering the 140 fb^{-1} and only the $H \rightarrow \gamma\gamma$ case, for showing a case example

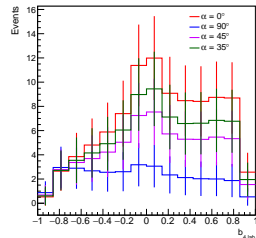
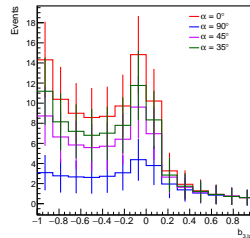
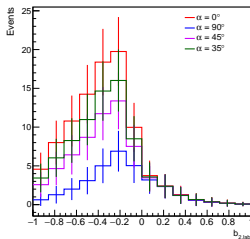
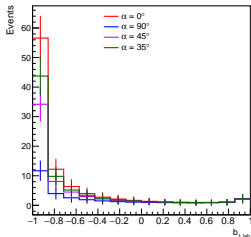
In depth look (b_i variables)

$$b_1 = \frac{(\vec{p}_t^x \times \hat{n}) \cdot (\vec{p}_t^y \times \hat{n})}{p_t^x p_t^y}$$

$$b_2 = \frac{(\vec{p}_t^x \times \hat{n}) \cdot (\vec{p}_t^z \times \hat{n})}{|\vec{p}_t^x| |\vec{p}_t^z|}$$

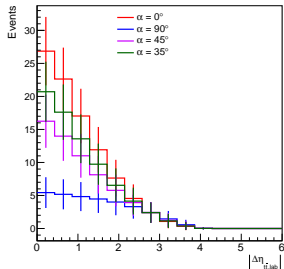
$$b_3 = \frac{p_t^x p_t^x}{p_t^y p_t^y}$$

$$b_4 = \frac{p_t^z p_t^z}{|\vec{p}_t^x| |\vec{p}_t^z|}$$

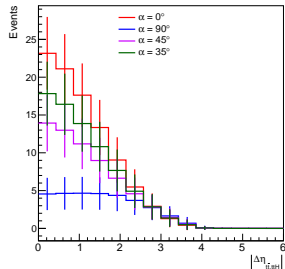


- b_i variables are constructed to be CP sensitive and have already been successfully used for CP discrimination.
- Considering the 140 fb^{-1} and only the $H \rightarrow \gamma\gamma$ case, for showing a case example

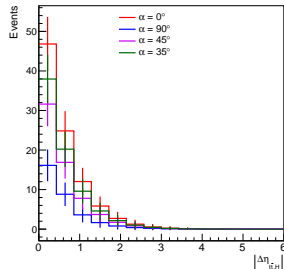
$|\Delta\eta_{t\bar{t}}|$ lab frame



$|\Delta\eta_{t\bar{t}}|$, $t\bar{t}H$ frame



$|\Delta\eta_{t\bar{t}}|$, H frame



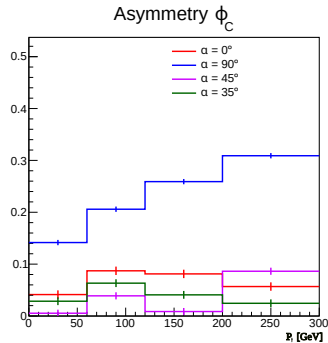
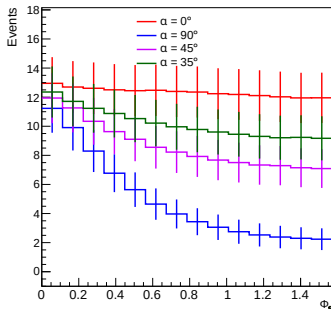
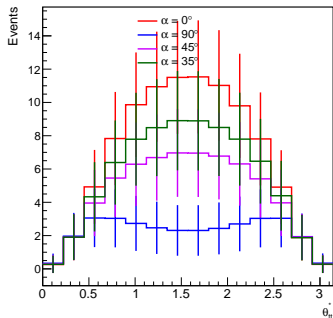
We consider different rest-frames for our observables, to verify possible increase in sensitivity in other reference frames

- the lab frame,
- the $t\bar{t}$ rest frame with $\mathbf{p}_t + \mathbf{p}_{\bar{t}} = \mathbf{0}$,
- the $t\bar{t}H$ rest frame with $\mathbf{p}_t + \mathbf{p}_{\bar{t}} + \mathbf{p}_H = \mathbf{0}$
- the H rest frame with $\mathbf{p}_H = \mathbf{0}$.

$$\theta^* = \mathbf{p}_t \cdot \mathbf{n}$$

$$\cos(\phi_c) = \frac{|\mathbf{p}_{P1} \times \mathbf{p}_{P2}| \cdot (\mathbf{p}_t \times \mathbf{p}_{\bar{t}})}{|\mathbf{p}_{P1} \times \mathbf{p}_{P2}| |\mathbf{p}_t \times \mathbf{p}_{\bar{t}}|}$$

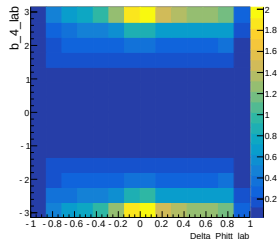
$$\mathcal{A}(\phi_c) = \frac{N(0 < \phi_c < \frac{\pi}{4}) - N(\frac{\pi}{4} < \phi_c < \frac{\pi}{2})}{N(0 < \phi_c < \frac{\pi}{4}) + N(\frac{\pi}{4} < \phi_c < \frac{\pi}{2})}$$



- CP sensitive variables introduced in other rest frames, as the Collin-Sopher angle (PRD 16, 2219), ϕ_c (arXiv:2008.13442v1) and an asymmetry variable build using the latter.
- Considering the 140 fb^{-1} and only the $H \rightarrow \gamma\gamma$ case, for showing a case example

- Studied possible combinations of two variables to increase the sensitivity
- Significance estimation as follow ([ATL-PHYS-PUB-2020-025](#))

$$S = -2 \sum_{i=1}^{N_{bins}} \left(N_i^{SM} \log \left(\frac{N_i^{BSM}}{N_i^{SM}} \right) - (N_i^{BSM} - N_i^{SM}) \right)$$



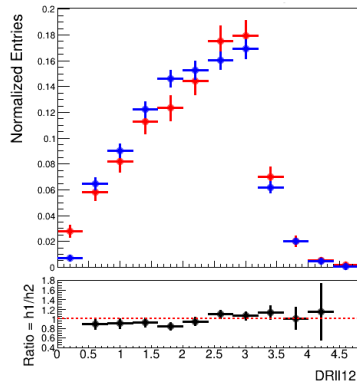
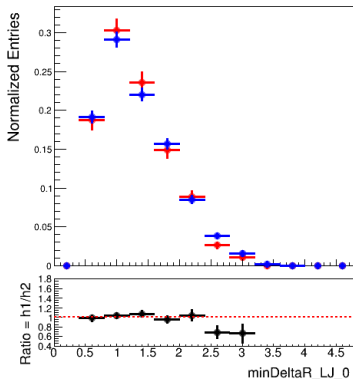
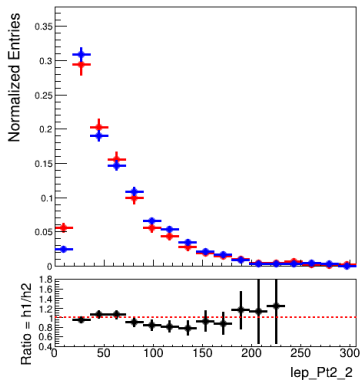
- Defining BSM as samples with $\alpha = \neq 0$ and SM as $\alpha = 0$

Significance summary table

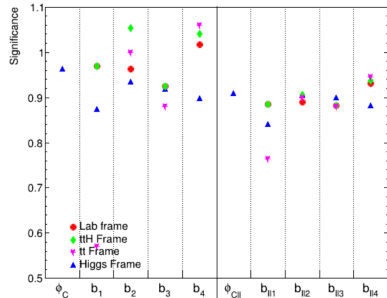
	ttbar_inv_lab	ttbar_inv_lab	Ht_inv_lab	Pt_higgs	Pt_top	Eta_higgs	Eta_top	b_1_lab	b_2_lab	b_3_lab	b_4_lab	Theta_star_lab	Delta_eta_half_lab	Delta_phi_half_lab	
NORM, 90°	lab	0.933	0.818	0.959	0.990	0.763	0.840	0.843	0.983	0.856	0.873	0.831	0.651	0.996	1.000
NORM, 45°	lab	0.678	0.584	0.716	0.780	0.565	0.606	0.619	0.913	0.825	0.586	0.673	0.436	1.000	0.937
NORM, 35°	lab	0.526	0.420	0.526	0.621	0.277	0.184	0.264	1.000	0.842	0.303	0.728	0.183	0.876	0.970



- Studies performed with $t\bar{t}H$ MC samples after applying a multilepton selection. Delphes is used for detector simulation
- Matched the yields and object shapes distribution to the $t\bar{t}H$ multilepton 80 fb^{-1} analysis, (ATLAS-CONF-2019-045)



- Hard to reconstruct tops and Higgs in the multilepton analysis
- Test different re-definition of variables using decay products, for example the leptons in the leptonic top and Higgs decays



- Few examples of variables defined in the lepton same sign and 3 lepton final states

$$\cos \phi_{C\ell\ell} = \frac{|(\vec{n}_{p_1} \times \vec{n}_{p_2}) \cdot (\vec{n}_{\ell^+} \times \vec{n}_{\ell^-})|}{|\vec{n}_{p_1} \times \vec{n}_{p_2}| |\vec{n}_{\ell^+} \times \vec{n}_{\ell^-}|}$$

$$b_{\ell\ell,1} = \frac{(\vec{p}_{\ell^+} \times \hat{n}) \cdot (\vec{p}_{\ell^-} \times \hat{n})}{p_{\ell^+}^T p_{\ell^-}^T} \quad b_{\ell\ell,2} = \frac{(\vec{p}_{\ell^+} \times \hat{n}) \cdot (\vec{p}_{\ell^-} \times \hat{n})}{|p_{\ell^+}^{\vec{z}}| |p_{\ell^-}^{\vec{z}}|}$$

$$b_{\ell\ell,3} = \frac{p_{\ell^+}^{\times} p_{\ell^-}^{\times}}{p_{\ell^+}^T p_{\ell^-}^T} \quad b_{\ell\ell,4} = \frac{p_{\ell^+}^{\vec{z}} p_{\ell^-}^{\vec{z}}}{|p_{\ell^+}^{\vec{z}}| |p_{\ell^-}^{\vec{z}}|}$$



- Presented alternative ways to search for CP violation in the top Yukawa coupling using direct CP probes
- First attempt to take into account low mixing CP angles
- Studies at truth level and some initial reco studies performed
- Conclusions would be used in the $t\bar{t}H \rightarrow$ Multilepton CP ATLAS analysis

Thanks for your attention!

BACKUP

$$b_1 = \frac{(\vec{p}_t \times \hat{n}) \cdot (\vec{p}_{\bar{t}} \times \hat{n})}{p_t^T p_{\bar{t}}^T}$$

$$b_2 = \frac{(\vec{p}_t \times \hat{n}) \cdot (\vec{p}_{\bar{t}} \times \hat{n})}{|\vec{p}_t^T| |\vec{p}_{\bar{t}}^T|}$$

$$b_3 = \frac{p_t^x p_{\bar{t}}^x}{p_t^T p_{\bar{t}}^T}$$

$$b_4 = \frac{p_t^z p_{\bar{t}}^z}{|\vec{p}_t^T| |\vec{p}_{\bar{t}}^T|}$$

