

# Combined EW+PDF fits

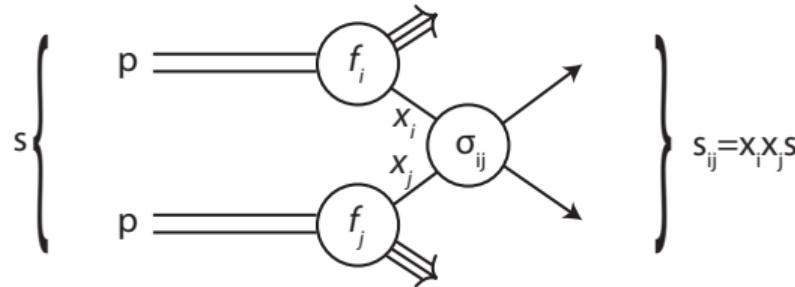
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## EW parameters and proton PDFs



$$\sigma_{pp \rightarrow X} = \sum_{i,j} \int dx_1 dx_2 \underbrace{f_i^p(x_1, Q^2)}_{PDF} \underbrace{f_j^p(x_2, Q^2)}_{PDF} \times \sigma_{ij}(x_1 x_2 s, \alpha_S(Q^2))$$

HERAPDF style :  $xf_i(x) = A_i x^{B_i} (1-x)^{C_i} (1 + D_i x + E_i x^2)$        $\underbrace{-A'_g x^{B'_g} (1-x)^{C'_g}}_{\text{term used exclusively for the gluon}}$

Most studies take the EW and PDF parts as decoupled, using one to find the other:

- EW SM values are assumed in order to fit PDFs or
- PDFs are fixed to find the value of EW parameters

**AIM → to perform combined EW+PDF fits**

## Combined fit motivation: $W$ -boson mass uncertainty breakdown

	Stat. Unc.	Muon Unc.	Elec. Unc.	Recoil Unc.	Bckg. Unc.	QCD Unc.	EW Unc.	PDF Unc.	Total Unc.
$m_{W+}$	8.9	6.6	8.2	3.1	5.5	8.4	5.4	14.6	23.4
$m_{W-}$	9.7	7.2	7.8	3.3	6.6	8.3	5.3	13.6	23.4
$m_{W^\pm}$	6.8	6.6	6.4	2.9	4.5	8.3	5.5	9.2	18.5

Uncertainty breakdown for  $m_W$  in MeV, as obtained in the study [arXiv:1701.07240](https://arxiv.org/abs/1701.07240).

PDF is the main source of systematic uncertainties in EW measurements



Neglecting the correlation to the PDF uncertainty can translate into an important mis-estimation of the corresponding total uncertainty

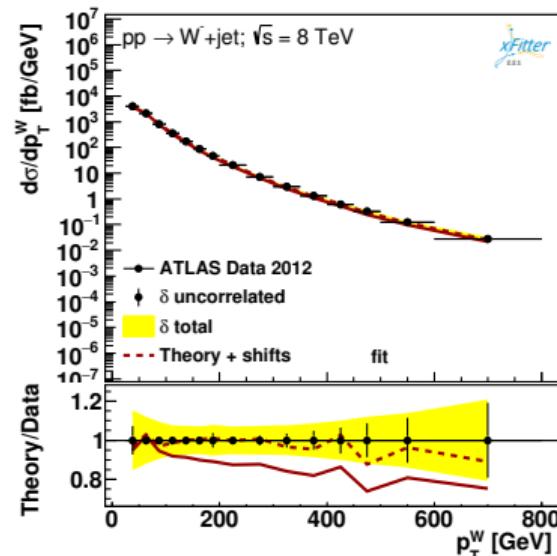
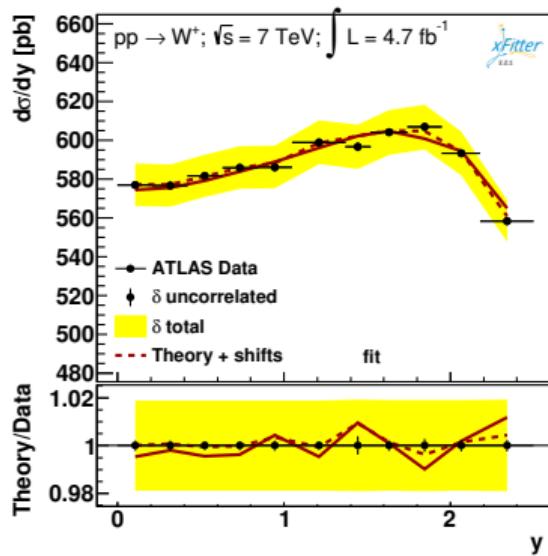


**We are not particularly interested in improving central EW values**

→ Instead, we want to find the correlation between the EW and QCD parts via a simultaneous fit

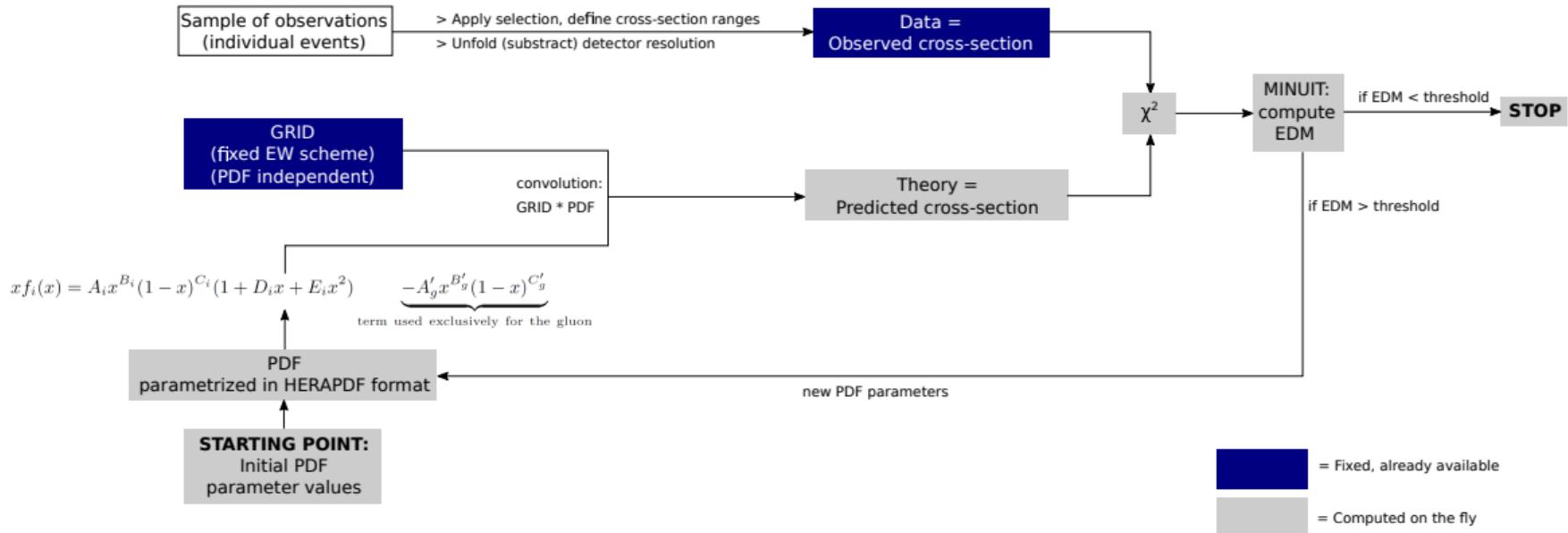
## Fitting PDFs: datasets and $\chi^2$ examples

General examples of measured cross-sections (black dots), their post-PDF-fit prediction (solid red line), and post-fit prediction + systematics shifts (dotted red line):



$$\text{e.g. } \chi^2 = \sum_i \frac{(\mu_i - \hat{m}_i)^2}{(\sigma_{i,\text{stat}})^2 + (\sigma_{i,\text{uncorr}})^2} + \sum_\alpha b_\alpha^2 \quad \text{where} \quad \hat{m}_i = m_i + \sum_\alpha \Gamma_\alpha^i b_\alpha$$

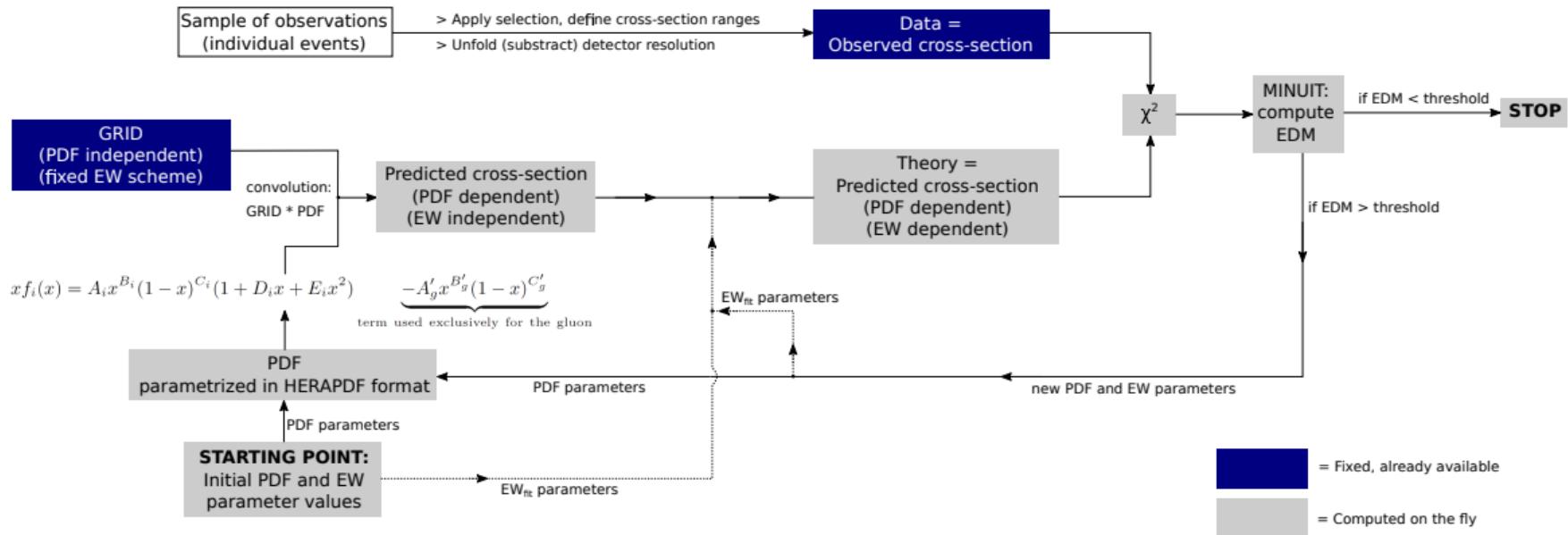
# Fitting PDFs: the standard way (as used in xFitter)



The GRID is computed for fixed EW values → insensitive to these changes (straight out of the box)

Like this, one cannot fit an EW parameter on the fly!

# Fitting PDFs: the combined EW+PDF fit approach



## Strategy

We can write the prediction of a differential cross-section with respect to some variable  $Y$  (called  $\frac{d\sigma}{dY}$ ) as a function of a PDF set and EW values as follows:

$$\frac{d\sigma}{dY}(\text{PDF, EW variation}) = [\text{GRID}_{\text{NLO}} * \text{PDF}] \times K_{\text{EW, LO} \rightarrow \text{NLO}}^{\text{QCD, NLO} \rightarrow \text{NNLO}} \times f_Y(\text{EW variation})$$

where

- $\text{GRID}_{\text{NLO}}$  is an existent APPLgrid at Fixed Order NLO, obtained for a fixed set of EW parameters.
- $\text{GRID}_{\text{NLO}} * \text{PDF}$  is the convolution of the fixed APPLgrid and the PDF being fitted  
→ gives the corresponding Fixed Order NLO cross-section prediction.
- $K_{\text{EW, LO} \rightarrow \text{NLO}}^{\text{QCD, NLO} \rightarrow \text{NNLO}}$  are DYTURBO K-factors
- $f_Y(\text{EW variation})$  is a function (specific to each bin  $Y$ ), whose parameters are fitted by looking at the relative change of XS by comparing several XS(Various EW values) with the nominal prediction XS(EW nominal). It allows to reweight from nominal EW values to the ones of interest for the fit.

## We have a strategy, now what?

One must find a useful cross-section measurement and electroweak parameter to implement the combined EW+PDF fit. In other words:

- Choose an EW parameter
- Look for differential cross-section measurements  $d\sigma/dY$  which are sensitive to the EW parameter
  - sensitive := a change of the EW parameter induces a change in the shape of  $d\sigma/dY$
- Obtain a reliable APPLgrid for the cross-section prediction at NLO (Fixed Order)
  - in the current study, we are using MadGraph5 2.9.3 + aMCfast 1.3.0
- Compute the [QCD NLO → NNLO, EW LO → NLO] K-factors
- Using a given PDF (e.g. CT18NNLO), parameterize the dependency of  $d\sigma/dY$  as a function of the EW parameter

## The dataset and prediction sensitive to $m_W \Rightarrow d\sigma/dp_l^T$ in $W^\pm \rightarrow l \nu_l$

- Plan towards using the results of the low-pileup W-boson  $d\sigma/dp_l^T$  cross-section study (ongoing analysis)
- Data: Simulated differential  $p_l^T$  cross-sections (= Pseudodata @  $m_W = 80.4$  GeV,  $\sqrt{s} = 5$  TeV),  
1 GeV bins in the  $p_l^T \in [25, 60]$  GeV range (including systematic uncertainties, scaled to the Pseudodata)
- Prediction @  $m_W = 80.4$  GeV: [APPLgrid Fixed Order grids \* PDF]  $\times$  k-factor, where

$$\text{k - factor} = \frac{\text{DYTURBO at NNLO using PDF, with resummation}}{\text{APPLgrid * PDF}}$$

→ one can absorb most of the lack-of-resummation effect with the k-factor

- EW variations: at each  $p_l^T$  bin, the differential cross-section change as a function of  $m_W$  can be defined as

$$\frac{d\sigma}{dp_l^T}(m_W) = \frac{d\sigma}{dp_l^T}(m_W^{\text{nominal}} = 80.400 \text{ GeV}) \left[ 1 + \text{factor}_{p_l^T}(m_W - 80.400 \text{ GeV}) \right]$$

where each factor  $\text{factor}_{p_l^T}$  is determined (using reweighted Powheg+Pythia NLO samples) before proceeding to the PDF fit

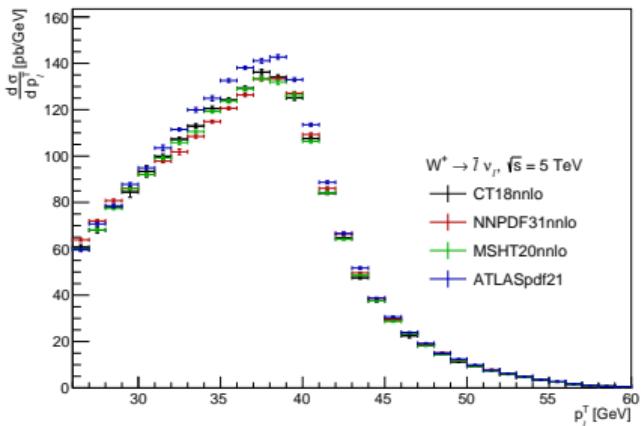
**Useful to remember:** given a correlation matrix  $C$ , the global correlation of a parameter  $k$  is defined as

$$\rho_k^2 = 1 - [C_{kk} * (C^{-1})_{kk}]^{-1}$$

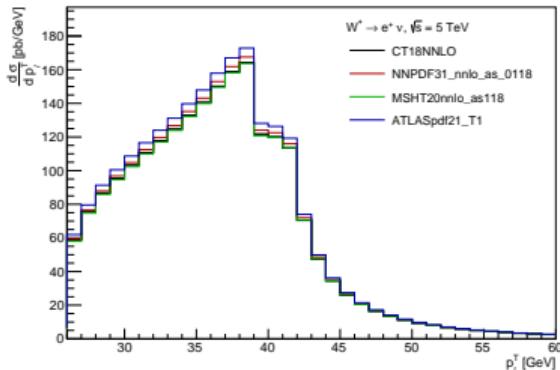
[[https://doi.org/10.1016/0010-4655\(75\)90039-9](https://doi.org/10.1016/0010-4655(75)90039-9), page 356]

# Overview of the $d\sigma/dp_T^T$ pseudodata and corresponding prediction

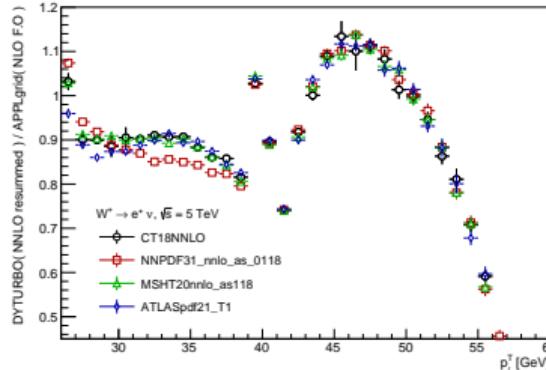
DYTURBO: NNLO resummed



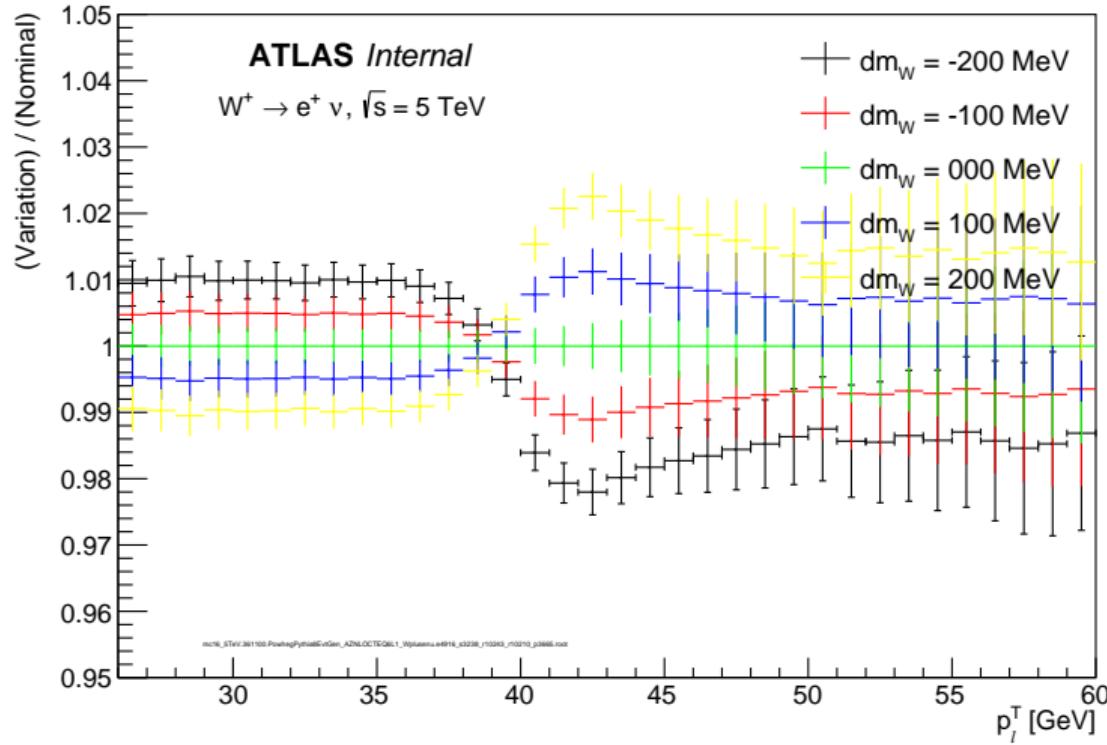
APPLgrid( NLO F.O. ) @  $m_W = 80.4$  GeV [grid ref. = CT18NNLO]



k-factor (NLO F.O. → NNLO resummed) @  $m_W = 80.4$  GeV



# Overview of the $d\sigma/dp_l^T$ pseudodata samples: $m_W$ dependency



## Data sets

Ultimate goal: include all the data sets used in ATLASpdf21, i.e.

- epWZ16: HERA [1506.06042, main PDF constraint] + WZ production [1612.03016]
- ttbar8TeV [1511.04716, 4 correlation files]
- Vjets [1711.03296 ( $W$ ) and 1907.06728 ( $Z$ )]
- z3d [1710.05167]
- Wxs8TeV [1904.05631]
- photon [1901.10075]
- top13TeV [1908.07305, 6 correlation files]
- jets [1706.03192]

+ a dataset sensitive to  $m_W$ :

- LowPileup: 5 TeV  $W$ -boson  $p_l^T$  cross-sections [4 channels]

## Simple closure test

Use only the LowPileup pseudodata sets, where  $m_W = 80.4$  GeV

Approach:

- ① Do a PDF only fit on both datasets by fixing  $M_{W\text{-fit}} = 80.4$
- ② Fix all the PDF parameters to the value of the fit, release  $M_{W\text{-fit}}$ , run  $m_W$  only fit → should recover 80.4

→ This simplified closure test recovers the truth value of  $m_W$ !

**At the very least, it suggests that we haven't broken xFitter and it still works as intended**

Parameter	PDFonly	mWonly
'Adbar'	$0.2892 \pm 0.0025$	<b>0.2892</b>
'Adv'	<b>1.0000</b>	<b>1.0000</b>
'Ag'	<b>1.0000</b>	<b>1.0000</b>
'Agp'	$0.182 \pm 0.024$	<b>0.1815</b>
'Auv'	<b>1.0000</b>	<b>1.0000</b>
'Bdbar'	$0.0403 \pm 0.0025$	<b>0.04028</b>
'Bdv'	$0.688 \pm 0.014$	<b>0.6884</b>
'Bg'	$-0.451 \pm 0.014$	<b>-0.4514</b>
'Bgp'	$-0.597 \pm 0.013$	<b>-0.5974</b>
'Buv'	$0.744 \pm 0.010$	<b>0.7445</b>
'Cdbar'	$6.57 \pm 0.79$	<b>6.572</b>
'CdV'	$3.64 \pm 0.11$	<b>3.635</b>
'Cg'	$2.226 \pm 0.062$	<b>2.226</b>
'Cgp'	<b>25.00</b>	<b>25.00</b>
'Cstr'	$8.6 \pm 2.7$	<b>8.608</b>
'Cubar'	$8.30 \pm 0.50$	<b>8.299</b>
'Cuv'	$4.789 \pm 0.043$	<b>4.789</b>
'Dubar'	$-0.96 \pm 0.57$	<b>-0.9633</b>
'Euv'	$9.85 \pm 0.44$	<b>9.850</b>
'Mw_fit'	<b>80.40</b>	$80.400 \pm 0.013$
'rs'	$0.57 \pm 0.12$	<b>0.5706</b>

## First combined fits using more data

Run fits using all the HERA data (6 datafiles) + a single channel of the Low Pileup pseudodata

Parameter	Wminusenu	Wplusenu	Wminusmunu	Wplusmunu
'Adbar'	$0.127 \pm 0.017$	$0.0910 \pm 0.0088$	$0.128 \pm 0.016$	$0.0914 \pm 0.0088$
'Adv'	<b>1.0000</b>	<b>1.0000</b>	<b>1.0000</b>	<b>1.0000</b>
'Ag'	<b>1.0000</b>	<b>1.0000</b>	<b>1.0000</b>	<b>1.0000</b>
'Agp'	$0.391 \pm 0.078$	$0.499 \pm 0.088$	$0.390 \pm 0.077$	$0.494 \pm 0.089$
'Auv'	<b>1.0000</b>	<b>1.0000</b>	<b>1.0000</b>	<b>1.0000</b>
'Bdbar'	$-0.141 \pm 0.018$	$-0.174 \pm 0.017$	$-0.141 \pm 0.018$	$-0.173 \pm 0.017$
'Bdv'	$0.88 \pm 0.10$	$0.816 \pm 0.086$	$0.884 \pm 0.100$	$0.814 \pm 0.086$
'Bg'	$-0.46 \pm 0.13$	$-0.505 \pm 0.098$	$-0.46 \pm 0.13$	$-0.51 \pm 0.12$
'Bgp'	$-0.552 \pm 0.075$	$-0.575 \pm 0.066$	$-0.552 \pm 0.077$	$-0.578 \pm 0.079$
'Buv'	$0.741 \pm 0.036$	$0.681 \pm 0.039$	$0.741 \pm 0.036$	$0.680 \pm 0.039$
'Cdbar'	$20.4 \pm 5.2$	$0.88 \pm 0.24$	$20.3 \pm 5.2$	$0.88 \pm 0.24$
'Cdv'	$4.28 \pm 0.39$	$4.98 \pm 0.53$	$4.28 \pm 0.39$	$4.97 \pm 0.52$
'Cg'	$3.64 \pm 0.82$	$5.06 \pm 0.89$	$3.63 \pm 0.83$	$5.01 \pm 0.96$
'Cgp'	<b>25.00</b>	<b>25.00</b>	<b>25.00</b>	<b>25.00</b>
'Cstr'	$6.1 \pm 3.5$	$21.4 \pm 6.2$	$6.0 \pm 3.4$	$21.3 \pm 6.1$
'Cubar'	$8.7 \pm 1.0$	$10.2 \pm 1.1$	$8.7 \pm 1.0$	$10.2 \pm 1.1$
'Cuv'	$4.902 \pm 0.081$	$5.34 \pm 0.16$	$4.901 \pm 0.081$	$5.34 \pm 0.16$
'Dubar'	$8.3 \pm 3.3$	$22.0 \pm 4.6$	$8.2 \pm 3.3$	$21.8 \pm 4.6$
'Euv'	$13.4 \pm 2.0$	$21.5 \pm 3.8$	$13.4 \pm 2.0$	$21.5 \pm 3.8$
'Mw_fit'	$80.407 \pm 0.053$	$80.469 \pm 0.037$	$80.406 \pm 0.051$	$80.467 \pm 0.036$
TS	$1.25 \pm 0.45$	$1.91 \pm 0.41$	$1.21 \pm 0.45$	$1.90 \pm 0.41$
Fit status	converged	converged	converged	converged
Uncertainties	migrad-hesse	migrad-hesse	migrad-hesse	migrad-hesse

The fitted mass of the  $W^+$  channels is outside of the statistical error!

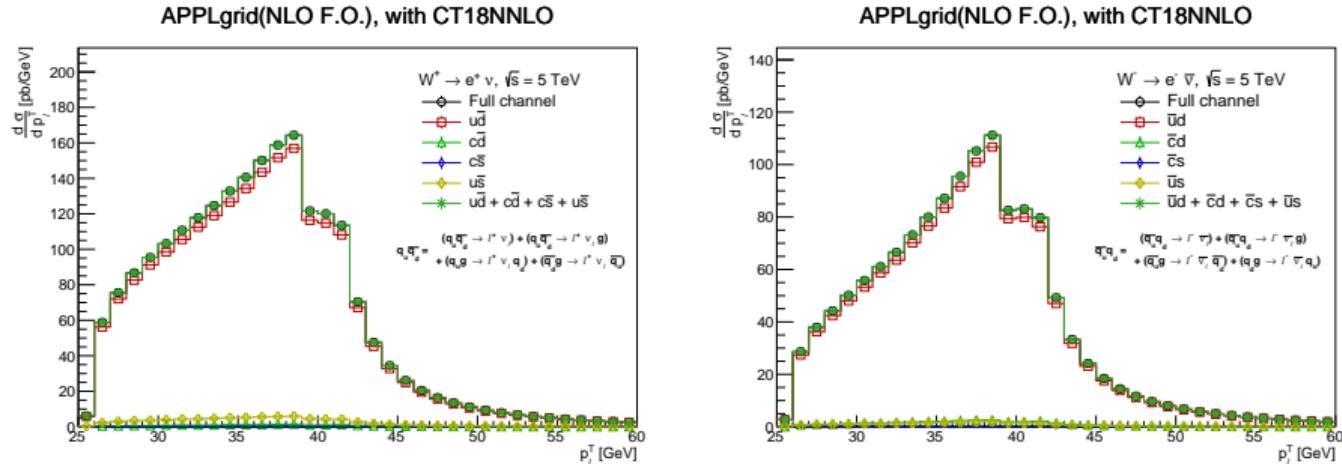
## Combined $m_W$ + PDF fits with more data carry the same problem

Parameter	HERA+LowPileup	+epWZ16	+ttbar	+Vjets	+Wxs8TeV
'Adbar'	$0.0975 \pm 0.0092$	$0.1029 \pm 0.0063$	$0.1030 \pm 0.0057$	$0.0975 \pm \textcolor{red}{0.0051}$	$0.348 \pm 0.062$
'Adv'	<b>1.0000</b>	<b>1.0000</b>	<b>1.0000</b>	<b>1.0000</b>	<b>1.0000</b>
'Ag'	<b>1.0000</b>	<b>1.0000</b>	<b>1.0000</b>	<b>1.0000</b>	<b>1.0000</b>
'Agp'	$0.413 \pm 0.068$	$0.360 \pm 0.059$	$0.351 \pm 0.039$	$0.318 \pm \textcolor{red}{0.028}$	$0.239 \pm 0.027$
'Aubar'	-	-	-	-	$0.0928 \pm 0.0048$
'Auv'	<b>1.0000</b>	<b>1.0000</b>	<b>1.0000</b>	<b>1.0000</b>	<b>1.0000</b>
'Bdbar'	$-0.171 \pm 0.015$	$-0.169 \pm 0.010$	$-0.1695 \pm 0.0097$	$-0.1776 \pm \textcolor{red}{0.0092}$	$0.019 \pm 0.030$
'Bdv'	$0.581 \pm 0.039$	$0.679 \pm 0.027$	$0.678 \pm 0.027$	$0.663 \pm \textcolor{red}{0.024}$	$0.531 \pm 0.017$
'Bg'	$-0.53 \pm 0.12$	$-0.594 \pm 0.090$	$-0.592 \pm 0.074$	$-0.629 \pm \textcolor{red}{0.059}$	$-0.553 \pm 0.069$
'Bgp'	$-0.596 \pm 0.080$	$-0.644 \pm 0.067$	$-0.644 \pm 0.053$	$-0.675 \pm \textcolor{red}{0.042}$	$-0.650 \pm 0.036$
'Bstr'	-	-	-	-	$0.341 \pm 0.080$
'Bubar'	-	-	-	-	$-0.2184 \pm 0.0095$
'Buv'	$0.735 \pm 0.023$	$0.737 \pm 0.012$	$0.735 \pm 0.011$	$0.723 \pm \textcolor{red}{0.011}$	$0.710 \pm 0.011$
'Cdbar'	$4.4 \pm 2.1$	$2.46 \pm 0.50$	$2.45 \pm 0.48$	$1.84 \pm \textcolor{red}{0.33}$	$27.7 \pm 3.6$
'Cdv'	$2.84 \pm 0.24$	$3.69 \pm 0.25$	$3.70 \pm 0.25$	$3.72 \pm \textcolor{red}{0.21}$	$2.66 \pm 0.15$
'Cg'	$3.67 \pm 0.85$	$2.69 \pm 0.67$	$2.61 \pm 0.46$	$2.24 \pm \textcolor{red}{0.35}$	$2.11 \pm 0.31$
'Cgp'	<b>25.00</b>	<b>25.00</b>	<b>25.00</b>	<b>25.00</b>	<b>25.00</b>
'Cstr'	$5.1 \pm 2.7$	$10.3 \pm 1.7$	$10.6 \pm 1.7$	$11.4 \pm \textcolor{red}{1.4}$	$7.0 \pm 1.0$
'Cubar'	$8.2 \pm 1.0$	$6.0 \pm 1.3$	$6.0 \pm 1.3$	$7.0 \pm \textcolor{red}{1.0}$	$4.39 \pm 0.38$
'Cuv'	$5.015 \pm 0.096$	$4.848 \pm 0.076$	$4.852 \pm 0.076$	$4.926 \pm \textcolor{red}{0.084}$	$4.904 \pm 0.078$
'Dubar'	$7.7 \pm 3.3$	$2.0 \pm 1.8$	$2.0 \pm 1.8$	$3.5 \pm \textcolor{red}{1.7}$	-
'Fauv'	$12.7 \pm 1.7$	$10.92 \pm 0.92$	$11.04 \pm 0.92$	$11.97 \pm \textcolor{red}{0.92}$	$12.54 \pm 0.95$
'Mw_fit'	$80.446 \pm 0.020$	$80.432 \pm 0.018$	$80.432 \pm 0.018$	$80.421 \pm \textcolor{red}{0.017}$	$80.454 \pm 0.017$
<i>T<sub>S</sub></i>	$1.54 \pm 0.51$	$1.507 \pm 0.006$	$1.508 \pm 0.006$	$1.574 \pm \textcolor{red}{0.005}$	$2.72 \pm 0.63$
Fit status	converged	converged	converged	converged	converged
Uncertainties	migrad-hesse	migrad-hesse	migrad-hesse	<b>pos-def-forced</b>	migrad-hesse

Global Correlation    0.61816    0.46116    0.45988    0.41180    0.44756

# Current state of the combined fit study: investigating the non-closure problem

Working to better understand the quark flavour treatment used by MadGraph5 2.9.3



$cs$  contribution appears to be absorbed in  $ud$  !

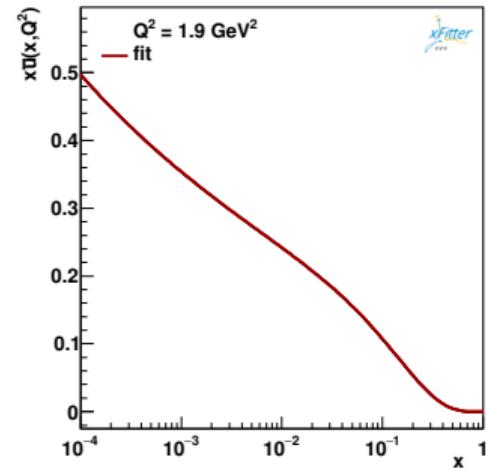
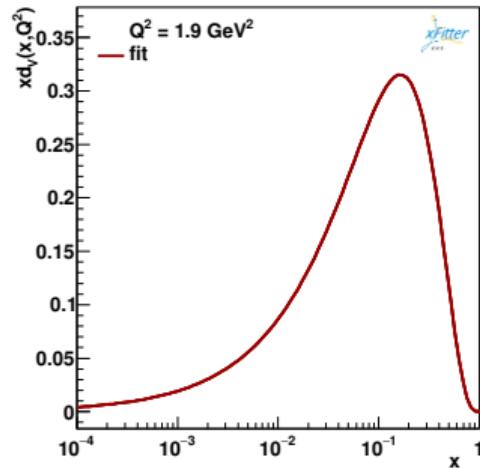
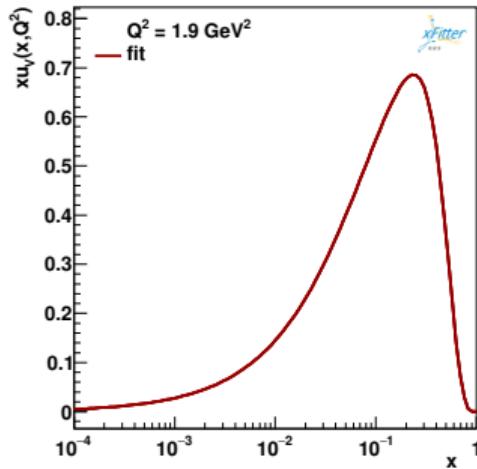
- Could the non-closure be related to improper APPLgrids?
- Maybe the mass shift is a real effect of the correlation between  $m_W$  and the PDF?

Currently investigating

- This technique allows to simultaneously fit a proton PDF and an EW variable of interest
- Such technique can shed light on the EW-PDF correlation
- Ultimately, we aim to do a fit using all the ATLASpdf21 datasets plus the Low Pileup W cross-sections
- Implementing the fit of the EW part implies prior studies, such as
  - Choose EW parameter (in the aforementioned case,  $m_W$ )
  - Search for a sensitive enough differential cross-section channel
  - Study the accuracy of the Fixed Order grid predictions
  - Parameterize the  $m_W$  dependency
  - Modify xFitter accordingly
- This kind of study relies on many moving parts (xFitter, MadGraph, aMCfast, APPLgrid, etc.), so many things can go wrong if one is not careful
  - Non-trivial problems may arise due to the complexity of these frameworks. Currently we are exploring a problem of such sort,
    - ▶ it could be related to the quark flavour treatment used for the APPLgrids,
    - ▶ it could also be real physics derived from the EW-PDF correlation,
    - ▶ or maybe it is an user error in either of the many used frameworks

# Backup

## Examples of proton PDFs



HERAPDF style : 
$$xf_i(x) = A_i x^{B_i} (1-x)^{C_i} (1 + D_i x + E_i x^2) \underbrace{- A'_g x^{B'_g} (1-x)^{C'_g}}_{\text{term used exclusively for the gluon}}$$

## Combined fit motivation: effective leptonic weak mixing angle uncertainty breakdown

Channel	$ee_{CC}$	$\mu\mu_{CC}$	$ee_{CF}$	$ee_{CC} + \mu\mu_{CC}$	$ee_{CC} + \mu\mu_{CC} + ee_{CF}$
Central value	0.23148	0.23123	0.23166	0.23119	0.23140
Uncertainties					
Total	68	59	43	49	36
Stat.	48	40	29	31	21
Syst.	48	44	32	38	29
Uncertainties in measurements					
PDF (meas.)	8	9	7	6	4
$p_T^Z$ modelling	0	0	7	0	5
Lepton scale	4	4	4	4	3
Lepton resolution	6	1	2	2	1
Lepton efficiency	11	3	3	2	4
Electron charge misidentification	2	0	1	1	< 1
Muon sagitta bias	0	5	0	1	2
Background	1	2	1	1	2
MC. stat.	25	22	18	16	12
Uncertainties in predictions					
PDF (predictions)	37	35	22	33	24
QCD scales	6	8	9	5	6
EW corrections	3	3	3	3	3

Uncertainty breakdown for  $\sin^2 \theta_W$ , as obtained in the study [ATL-CONF-2018-037](#).

## Combined fit motivation: $W$ -boson mass uncertainty breakdown

	Stat. Unc.	Muon Unc.	Elec. Unc.	Recoil Unc.	Bckg. Unc.	QCD Unc.	EW Unc.	PDF Unc.	Total Unc.
$m_{W^+}$	8.9	6.6	8.2	3.1	5.5	8.4	5.4	14.6	23.4
$m_{W^-}$	9.7	7.2	7.8	3.3	6.6	8.3	5.3	13.6	23.4
$m_{W^\pm}$	6.8	6.6	6.4	2.9	4.5	8.3	5.5	9.2	18.5

Uncertainty breakdown for  $m_W$  in MeV, as obtained in the study [arXiv:1701.07240](https://arxiv.org/abs/1701.07240).

PDF is the main source of systematic uncertainties in EW measurements



Neglecting the correlation to the PDF uncertainty can translate into an important mis-estimation of the corresponding total uncertainty

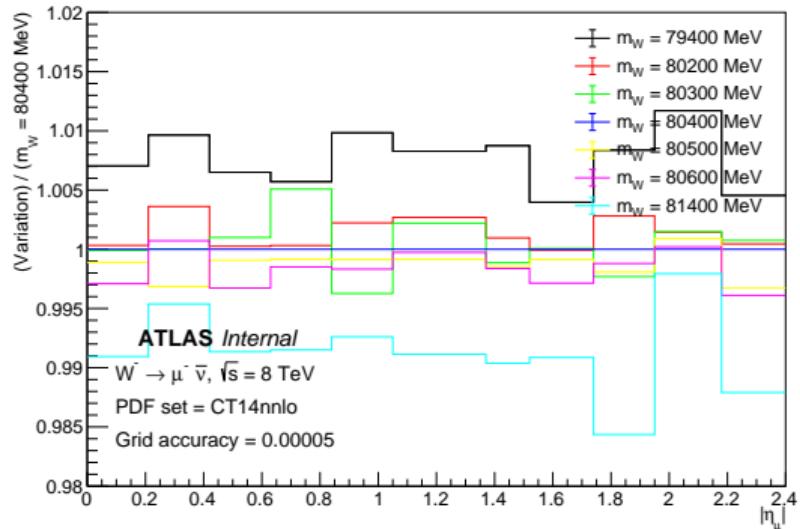
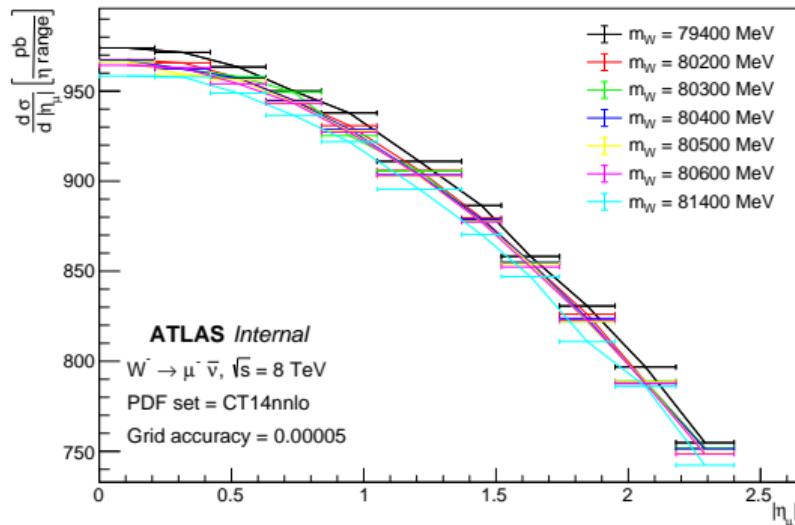
## Sensitivity studies of various datasets to $m_W$

EW variable	Dataset	Channel	Sensitive?
$m_W$	W inclusive cross-sections (1904.05631)	$\frac{d\sigma}{d \eta_\mu }$	No
$m_W$	W inclusive cross-sections (low- $\mu$ samples)	$\frac{d\sigma}{dp_W^T}$	Maybe
$m_W$	W inclusive cross-sections (low- $\mu$ samples)	$\frac{d\sigma}{dp_l^T}$	Yes
$m_W$	W+jets (1711.03296)	$\frac{d\sigma}{dp_W^T}$	Maybe
quark-Z couplings	Z3D (1710.05167)	$\frac{d^3\sigma}{dm_{ll} d y_{ll}  d \cos \theta^*}$	To see

Cross-section grids for different EW values are obtained with stand-alone MadGraph at Fixed Order:  
 MG5\_aMC\_v2.9.3 + amcfast-1.3.0 + applgrid-1.6.27

# $m_W$ in W inclusive $d\sigma/d|\eta_\mu|$ (1904.05631)

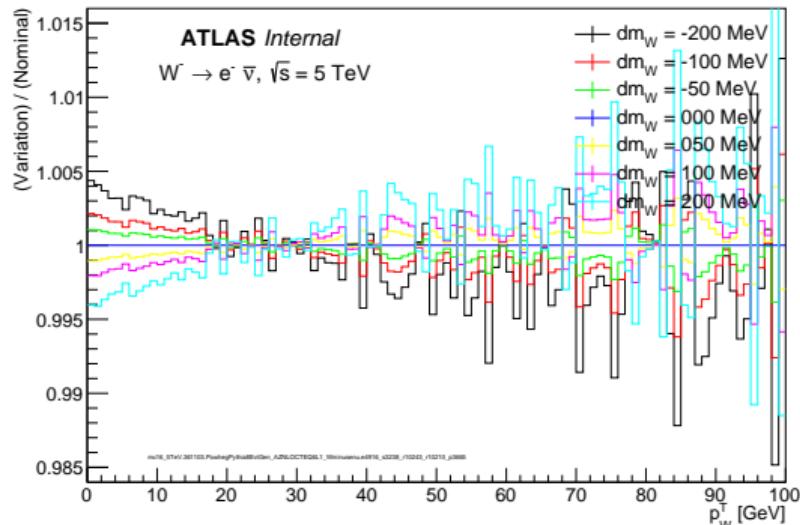
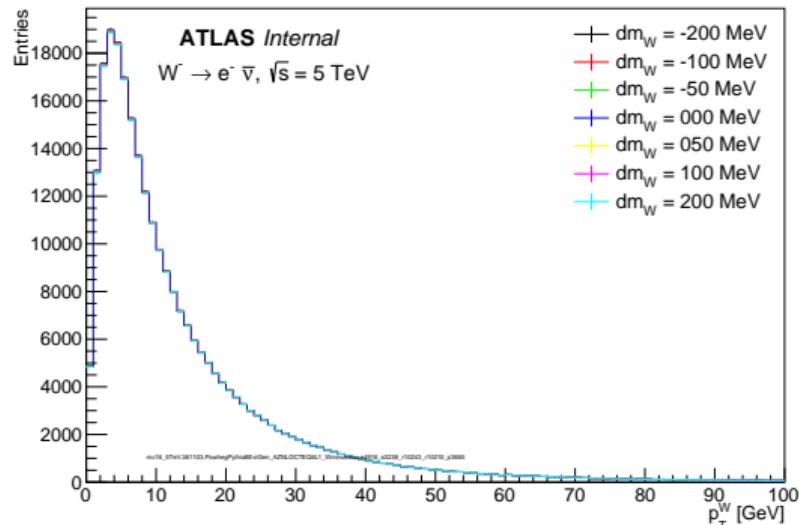
Not sensitive to changes in  $m_W$



Cross-section predictions obtained with APPLGrids and CT14nnlo

# $m_W$ in W inclusive $d\sigma/dp_T^W$ (checked with low- $\mu$ samples)

Not sensitive to changes in  $m_W$

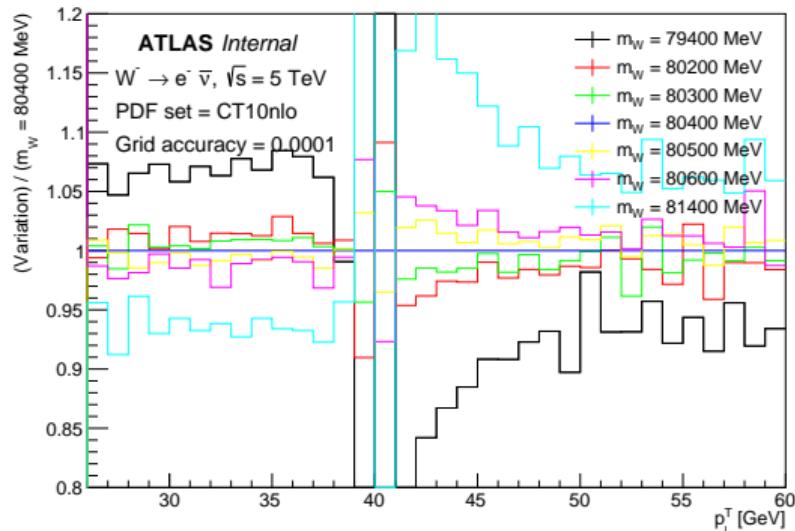
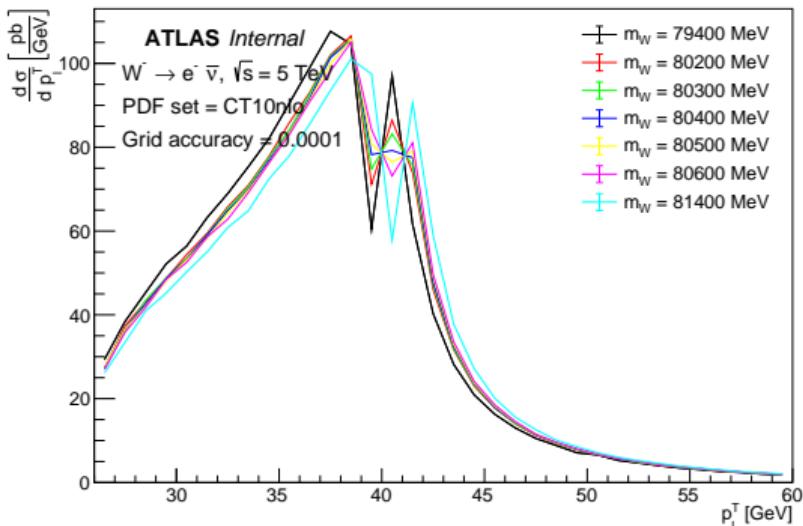


Sample distribution predictions obtained via HistMaker reweighting of W samples

## $m_W$ in W inclusive $d\sigma/dp_l^T$ (low-pileup study, using APPLgrids)

Very sensitive to  $m_W$ , **but** there is a non-physical kink at  $p_l^T \approx m_W/2$ :

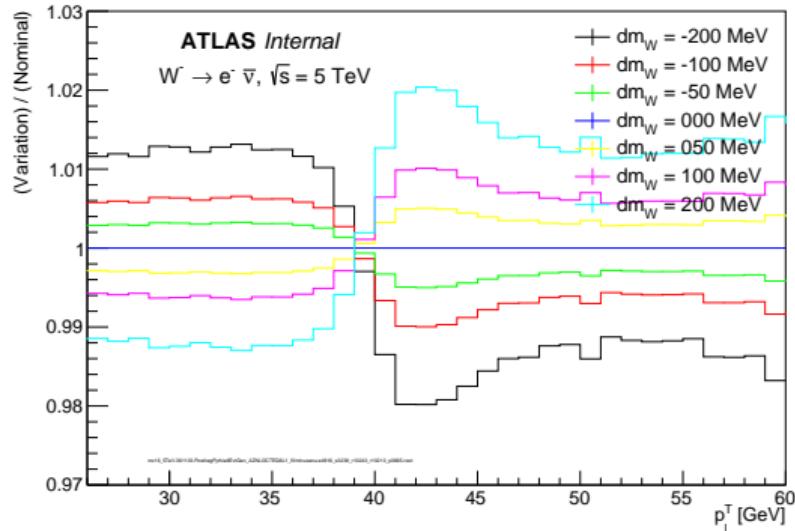
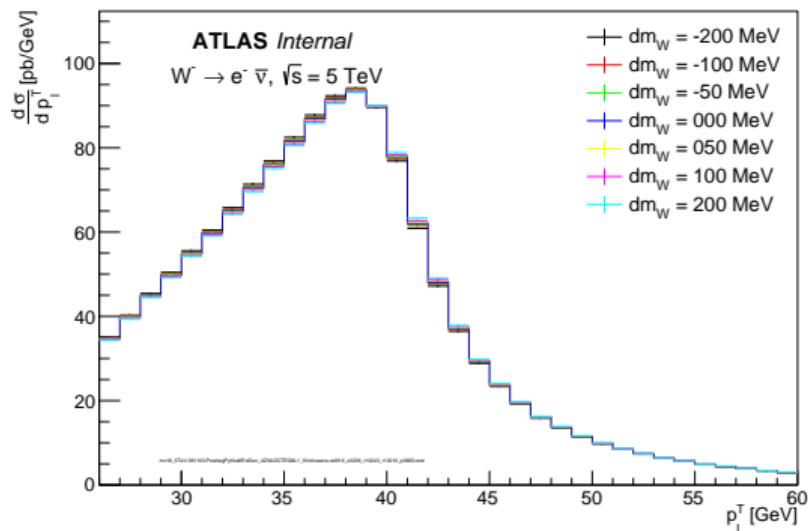
since cross-section grids are estimated at Fixed Order (QCD NLO + EW LO), they do not include LL resummed corrections coming from the PS and the higher order LL corrections from small-qT/high-threshold resummation



Cross-section predictions obtained with APPLGrids and CT10nlo

# $m_W$ in W inclusive $d\sigma/dp_T^T$ (low-pileup study, using Powheg+Pythia samples)

Very sensitive to  $m_W$ !



Cross-section predictions obtained with Powheg+Pythia samples (histogrammed with HistMaker)

# $m_W$ in W inclusive $d\sigma/dp_l^T$ at 5 TeV: bin-by-bin $m_W$ dependence

