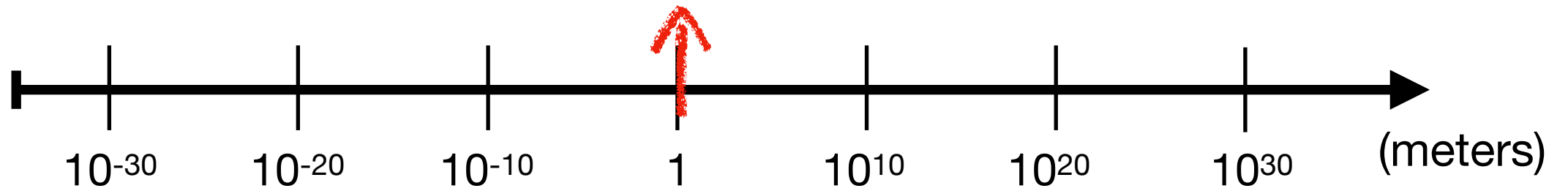


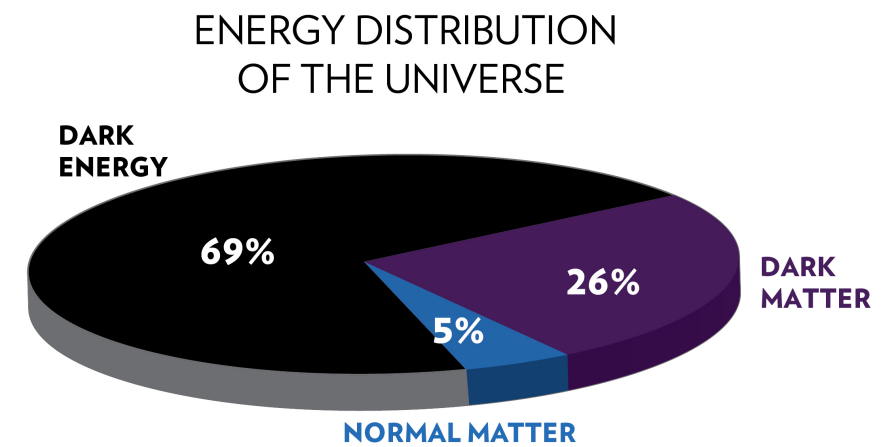
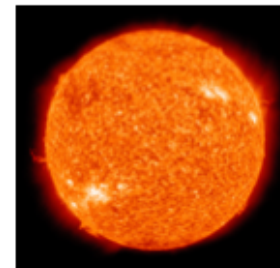
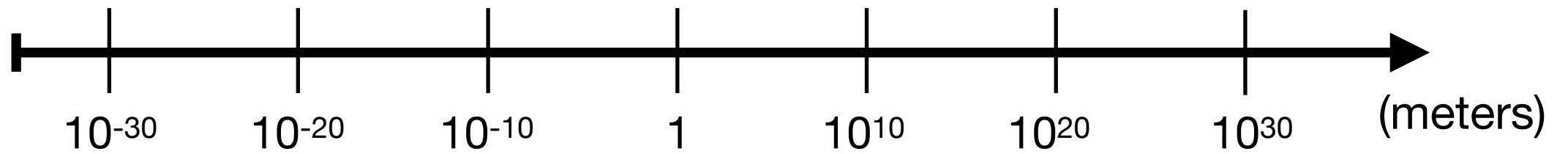


**Modèle standard :
Comprendre l'univers
avec l'aide des
bosons**

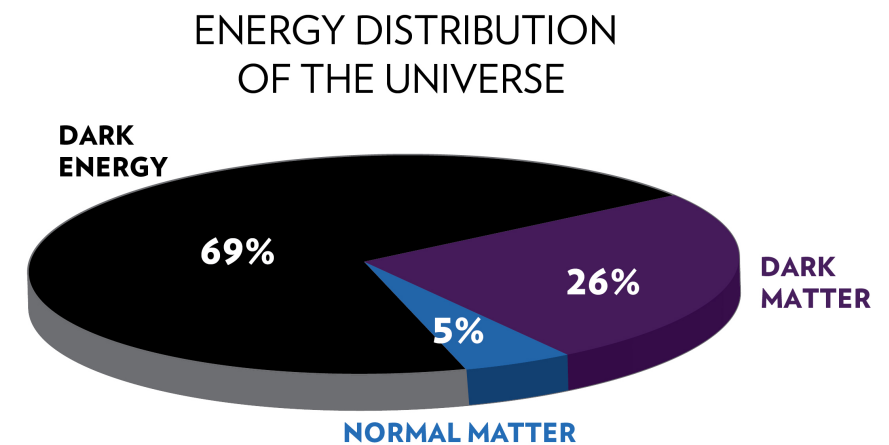
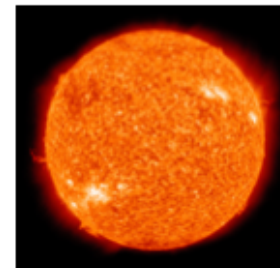
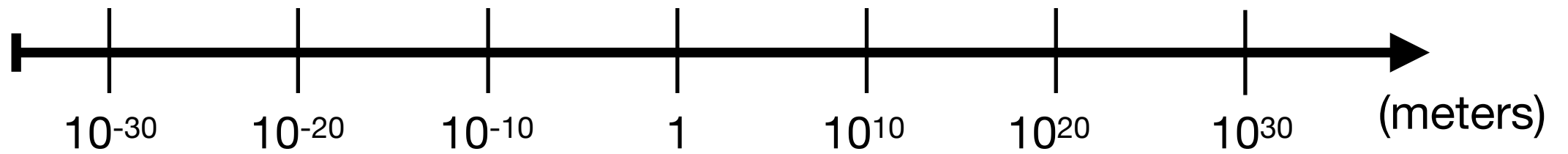
A reference point



Zooming out



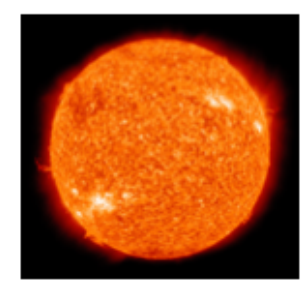
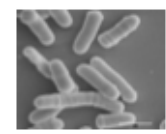
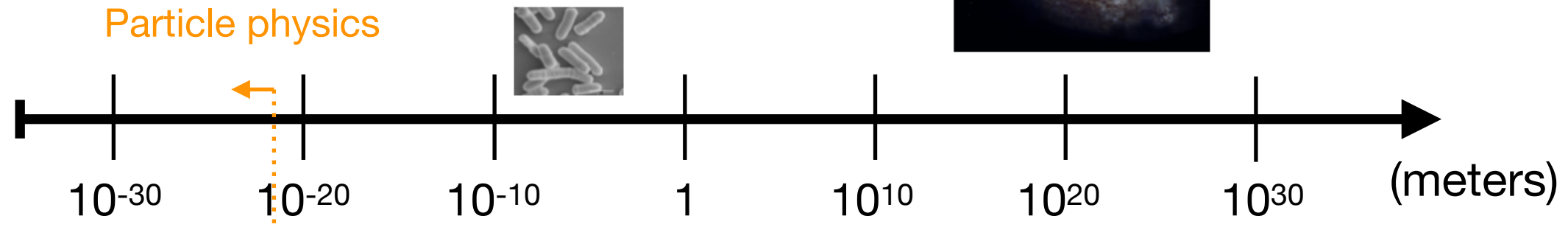
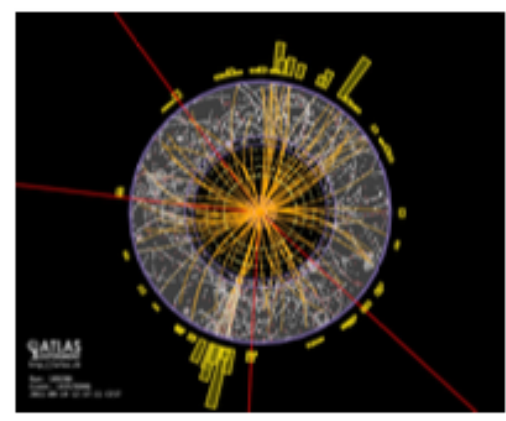
Zooming out



know unknown

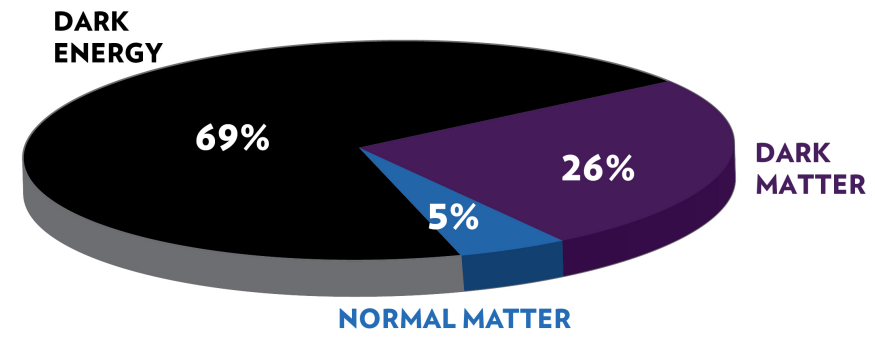
(Dark matter, dark energy, CP asymmetry)

Zooming in



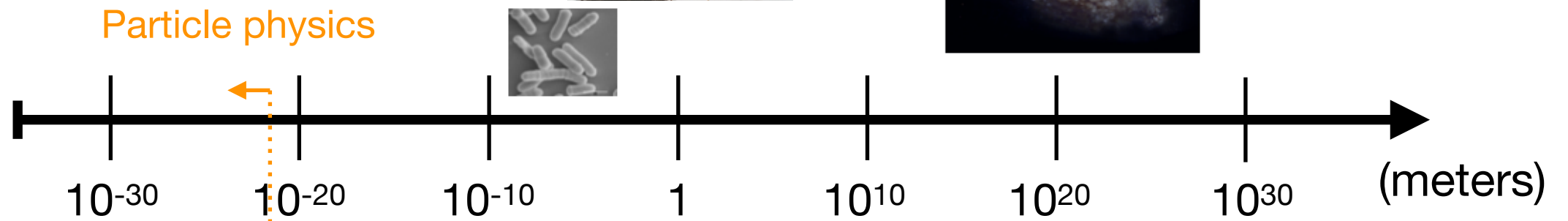
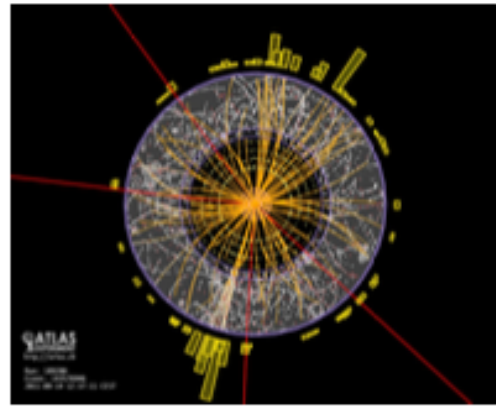
	mass charge spin ≈2.2 MeV/c ² 2/3 1/2 u up	≈1.28 GeV/c ² 2/3 1/2 c charm	≈173.1 GeV/c ² 2/3 1/2 t top	0 0 1 g gluon	≈124.97 GeV/c ² 0 0 H higgs
	≈4.7 MeV/c ² -1/3 1/2 d down	≈96 MeV/c ² -1/3 1/2 s strange	≈4.18 GeV/c ² -1/3 1/2 b bottom	0 0 1 γ photon	
QUARKS					SCALAR BOSONS
	≈0.511 MeV/c ² -1 1/2 e electron	≈105.66 MeV/c ² -1 1/2 μ muon	≈1.7768 GeV/c ² -1 1/2 τ tau	≈91.19 GeV/c ² 0 0 1 Z Z boson	
LEPTONS					Gauge bosons VECTOR BOSONS
	<1.0 eV/c ² 0 1/2 ν_e electron neutrino	<0.17 MeV/c ² 0 1/2 ν_μ muon neutrino	<18.2 MeV/c ² 0 1/2 ν_τ tau neutrino	≈80.39 GeV/c ² ±1 1 W W boson	

ENERGY DISTRIBUTION OF THE UNIVERSE

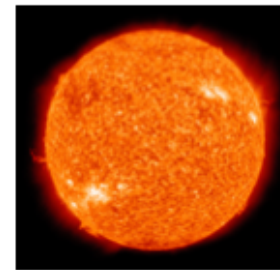


know unknown
 (Dark matter, dark energy, CP asymmetry)

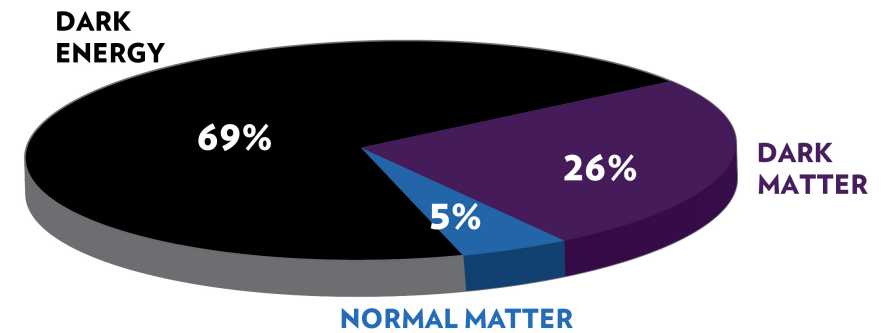
Zooming in



	$\approx 2.2 \text{ MeV}/c^2$ $\frac{2}{3}$ $\frac{1}{2}$ u up	$\approx 1.28 \text{ GeV}/c^2$ $\frac{2}{3}$ $\frac{1}{2}$ c charm	$\approx 173.1 \text{ GeV}/c^2$ $\frac{2}{3}$ $\frac{1}{2}$ t top	0 0 1 g gluon	$\approx 124.97 \text{ GeV}/c^2$ 0 0 H higgs
	$\approx 4.7 \text{ MeV}/c^2$ $-\frac{1}{3}$ $\frac{1}{2}$ d down	$\approx 96 \text{ MeV}/c^2$ $-\frac{1}{3}$ $\frac{1}{2}$ s strange	$\approx 4.18 \text{ GeV}/c^2$ $-\frac{1}{3}$ $\frac{1}{2}$ b bottom	0 0 1 γ photon	
QUARKS	$\approx 0.511 \text{ MeV}/c^2$ -1 $\frac{1}{2}$ e electron	$\approx 105.66 \text{ MeV}/c^2$ -1 $\frac{1}{2}$ μ muon	$\approx 1.7768 \text{ GeV}/c^2$ -1 $\frac{1}{2}$ τ tau	$\approx 91.19 \text{ GeV}/c^2$ 0 1 Z Z boson	
LEPTONS	$< 1.0 \text{ eV}/c^2$ 0 $\frac{1}{2}$ ν_e electron neutrino	$< 0.17 \text{ MeV}/c^2$ 0 $\frac{1}{2}$ ν_μ muon neutrino	$< 18.2 \text{ MeV}/c^2$ 0 $\frac{1}{2}$ ν_τ tau neutrino	$\approx 80.39 \text{ GeV}/c^2$ ± 1 1 W W boson	GAUGE BOSONS VECTOR BOSONS





ENERGY DISTRIBUTION OF THE UNIVERSE



know know

In this talk

THE MAIN ACTORS

mass	$\simeq 91.19 \text{ GeV}/c^2$		Z boson
charge	0		
spin	1		
mass	$\simeq 80.39 \text{ GeV}/c^2$		W boson
charge	± 1		
spin	1		

We have our actors, and the main stage is the center of the ATLAS detector at the LHC

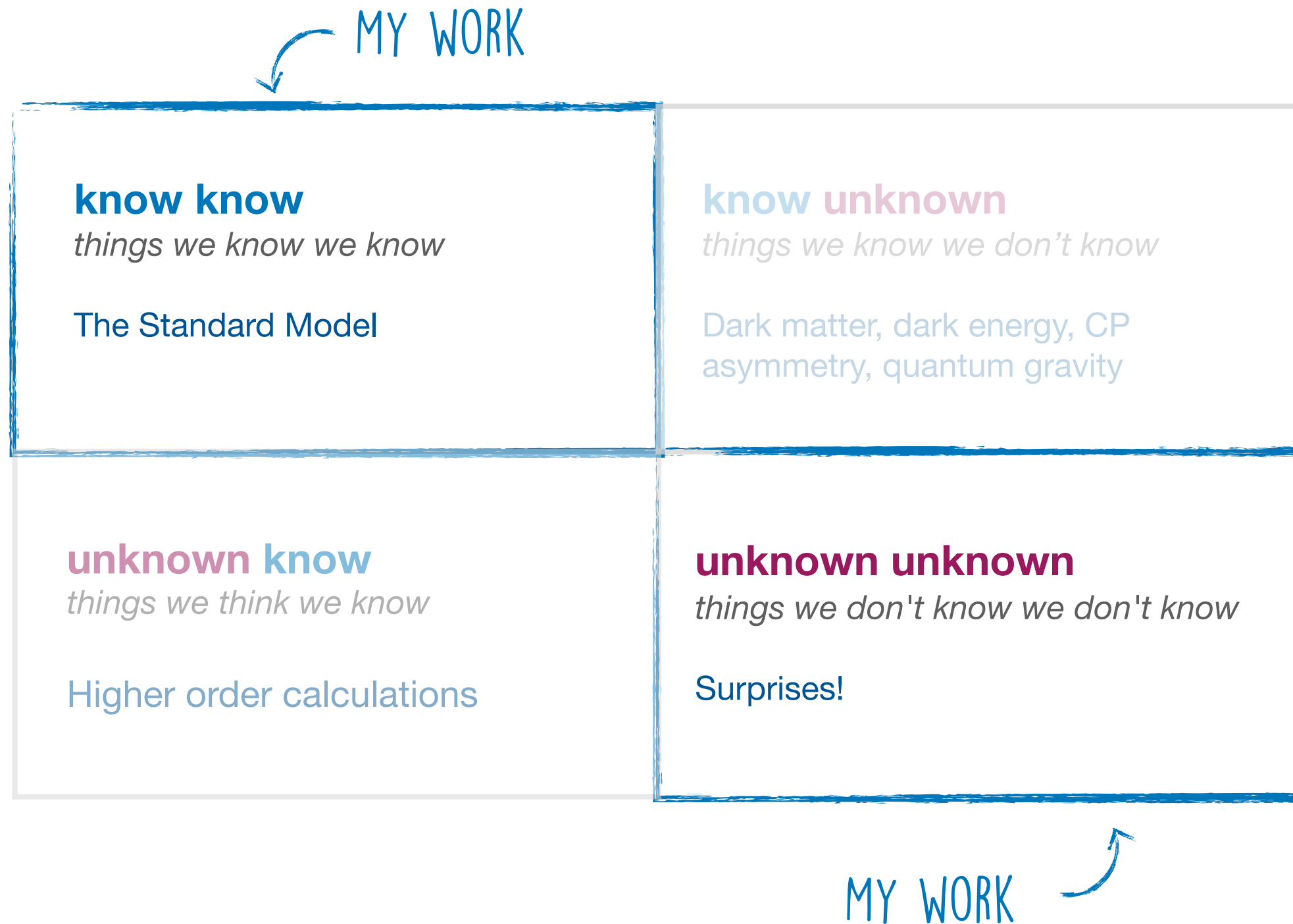
The Large Hadron Collider ring:



Matrix of knowledge*

<p>know know <i>things we know we know</i></p> <p>The Standard Model</p>	<p>know unknown <i>things we know we don't know</i></p> <p>Dark matter, dark energy, CP asymmetry, quantum gravity, muon g-2 anomaly</p>
<p>unknown know <i>things we think we know</i></p> <p>Higher order calculations</p>	<p>unknown unknown <i>things we don't know we don't know</i></p> <p>Surprises!</p>

Matrix of knowledge*

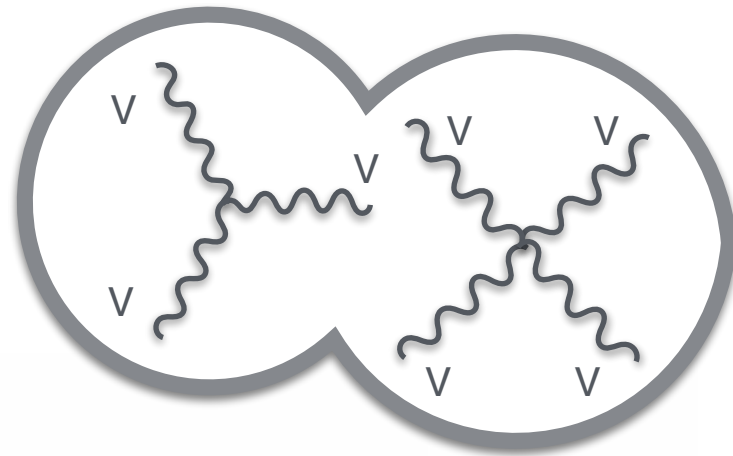


How well do we know Standard Model?

The Standard Model of particle physics

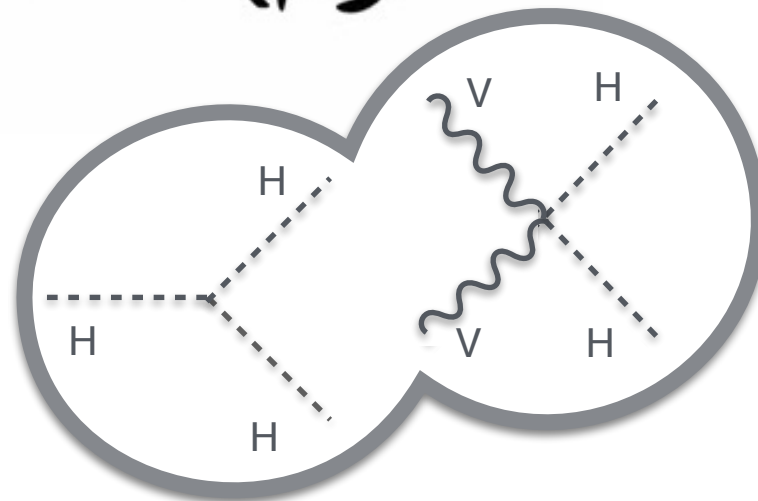
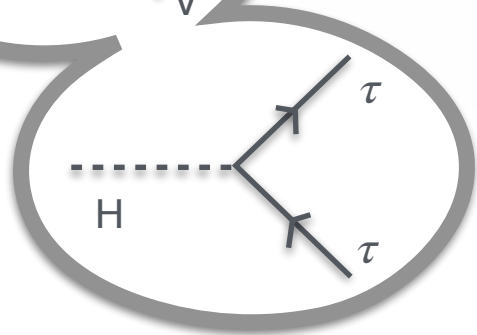
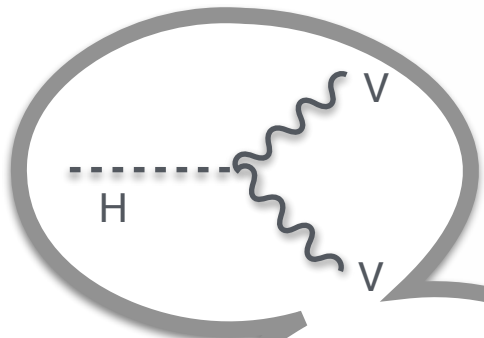
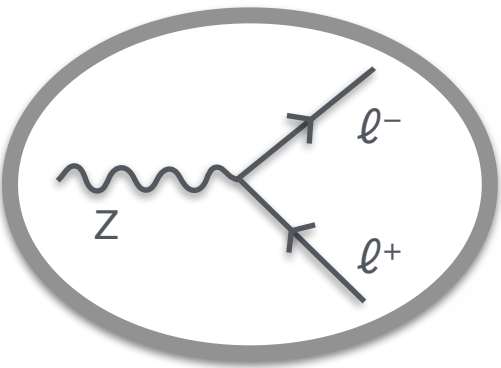
$$\begin{aligned}\mathcal{L} = & -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} \\ & + i\bar{\psi} \not{D} \psi \\ & + \bar{\psi}_i Y_{ij} \psi_j \phi + \text{h.c.} \\ & + |D_\mu \phi|^2 - V(\phi)\end{aligned}$$

The Standard Model predicts

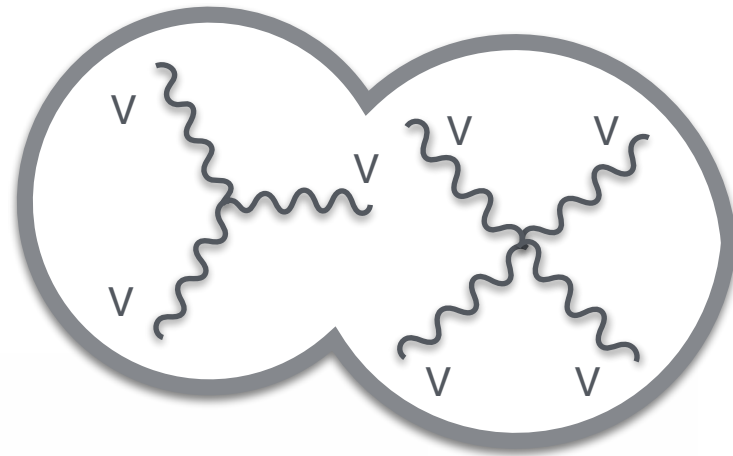


- Particle content
- Particle interactions

$$\mathcal{L} = -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} + i\bar{\psi}\not{D}\psi + \chi_i Y_{ij} \chi_j \phi + \text{h.c.} + |D_\mu \phi|^2 - V(\phi)$$



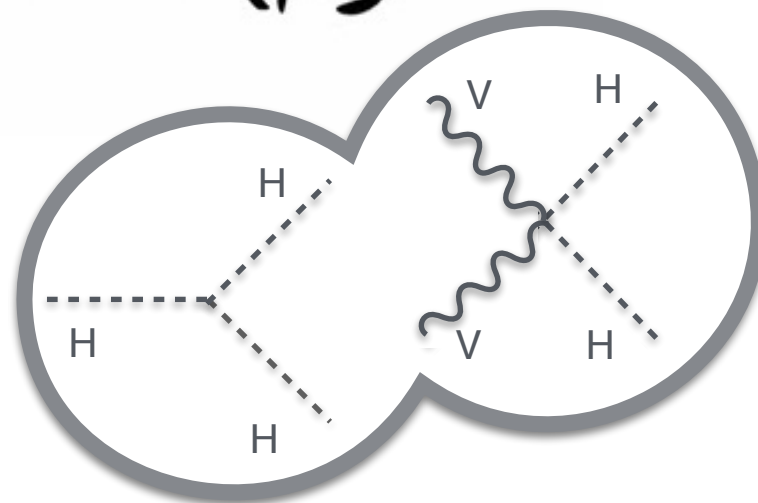
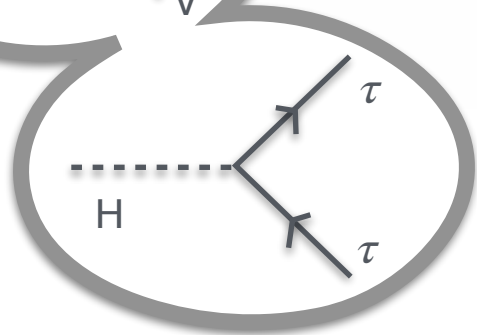
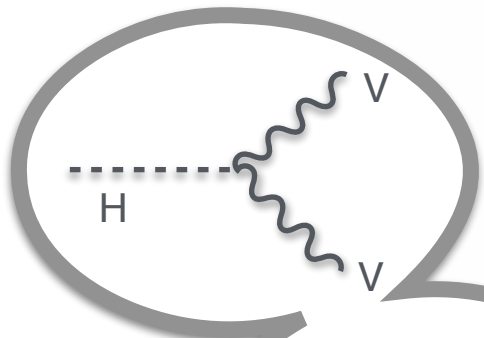
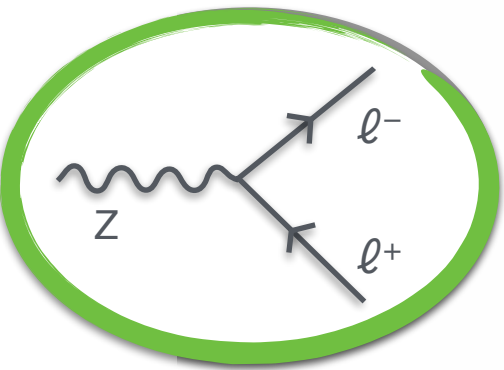
The Standard Model predicts



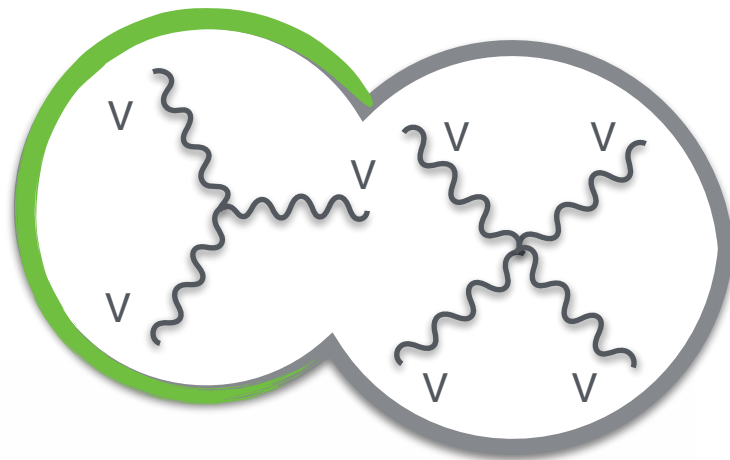
- Particle content
- Particle interactions

☑ $\gamma/Z \rightarrow \ell\ell, W \rightarrow \ell\nu$ very well understood

$$\mathcal{L} = -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} + i\bar{\psi}\not{D}\psi + \chi_i Y_{ij} \chi_j \phi + \text{h.c.} + |D_\mu \phi|^2 - V(\phi)$$



The Standard Model predicts

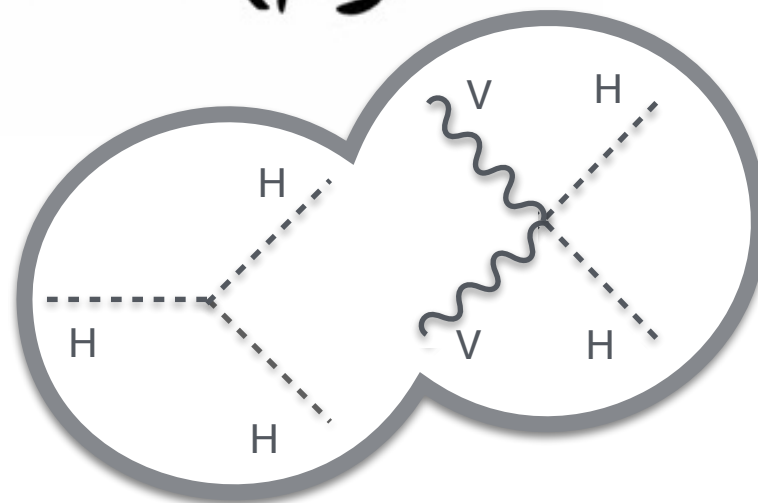
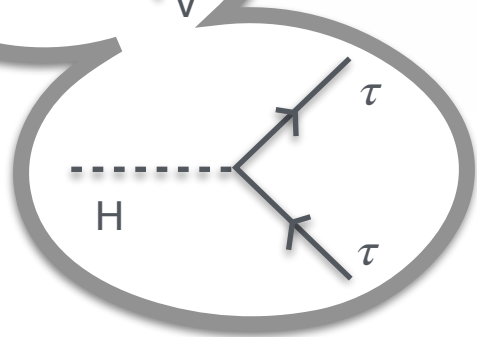
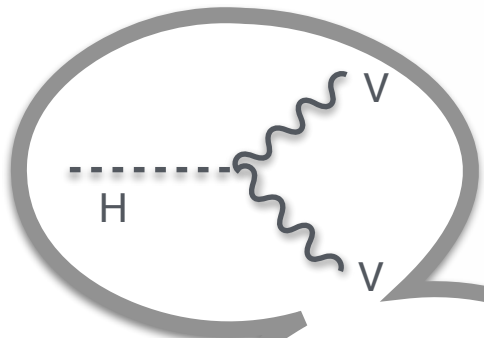
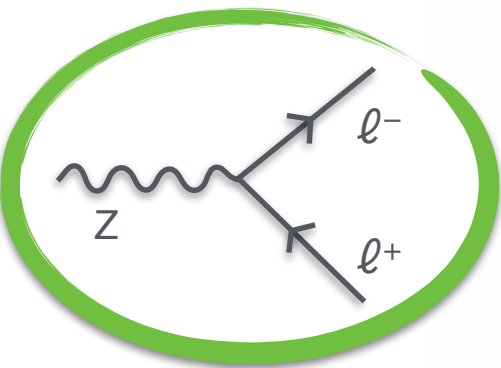


- Particle content
- Particle interactions

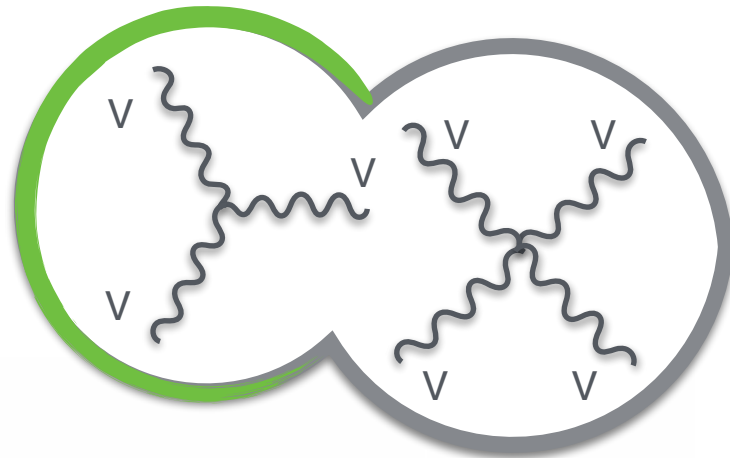
✓ $\gamma/Z \rightarrow \ell\ell, W \rightarrow \ell\nu$ very well understood

✓ WWV (V = Z, W) seen at LEP and LHC

$$\mathcal{L} = -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} + i\bar{\psi}\not{D}\psi + \chi_i Y_{ij} \chi_j \phi + \text{h.c.} + |D_\mu \phi|^2 - V(\phi)$$



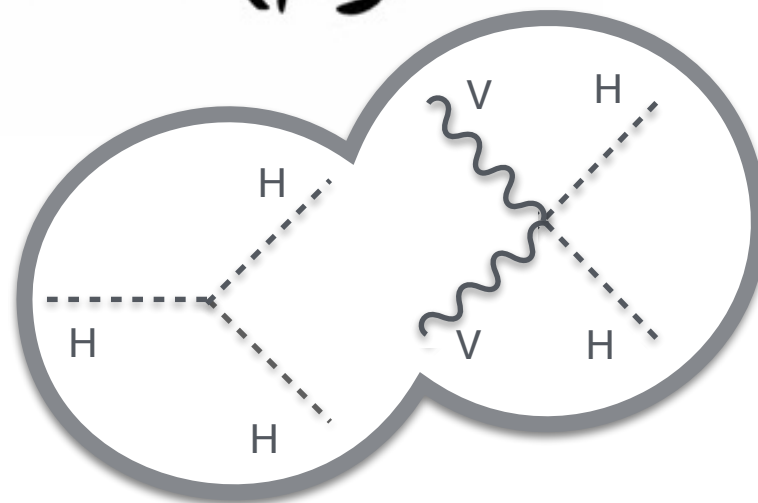
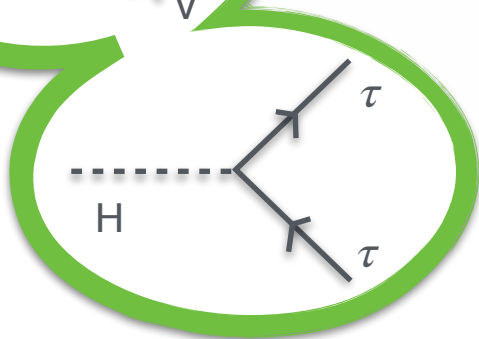
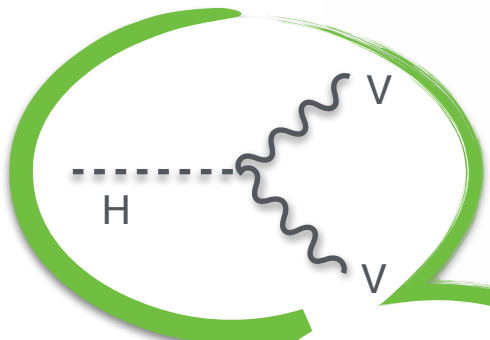
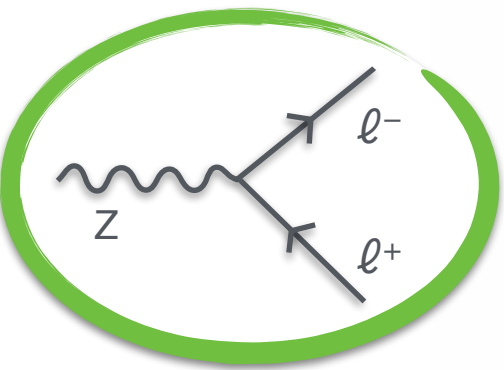
The Standard Model predicts



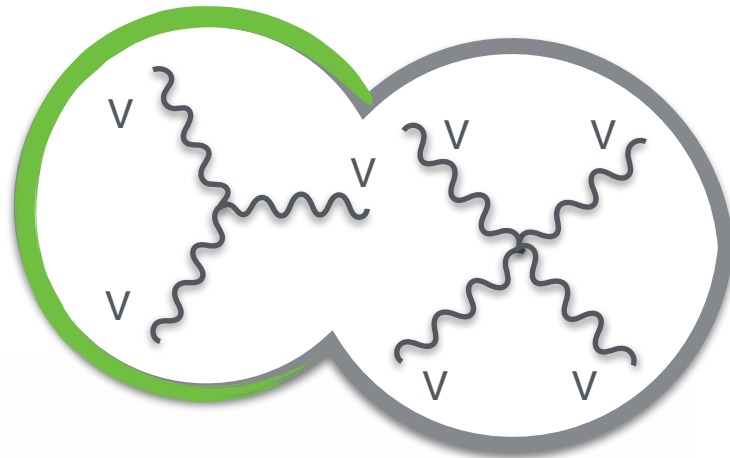
- Particle content
- Particle interactions

- ☑ $\gamma/Z \rightarrow \ell\ell, W \rightarrow \ell\nu$ very well understood
- ☑ WWV (V = Z, W) seen at LEP and LHC
- ☑ Higgs coupling to fermions and vector bosons observed at LHC

$$\mathcal{L} = -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} + i\bar{\psi}\not{D}\psi + \chi_i Y_{ij} \chi_j \phi + \text{h.c.} + |D_\mu \phi|^2 - V(\phi)$$



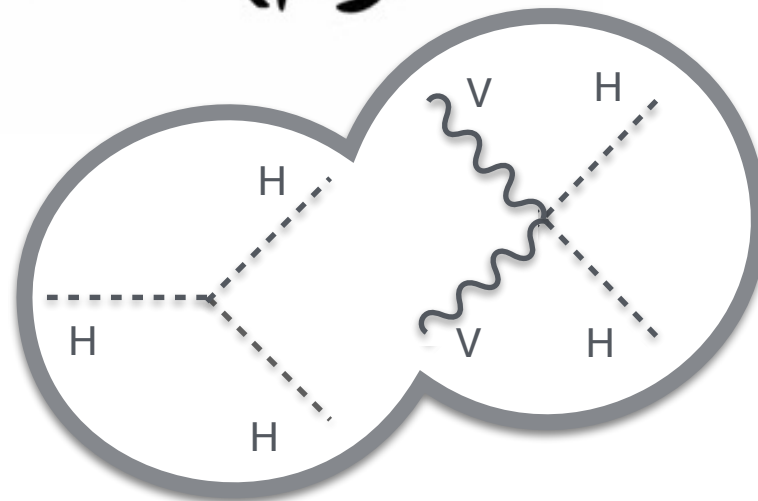
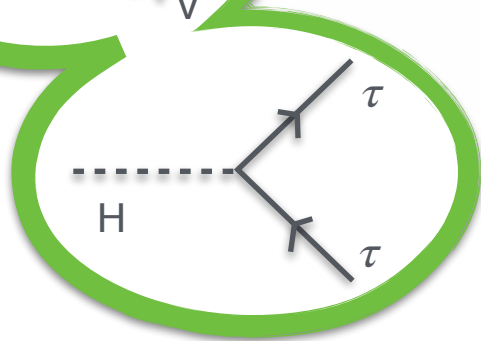
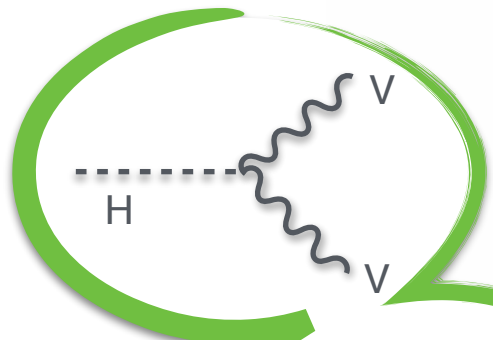
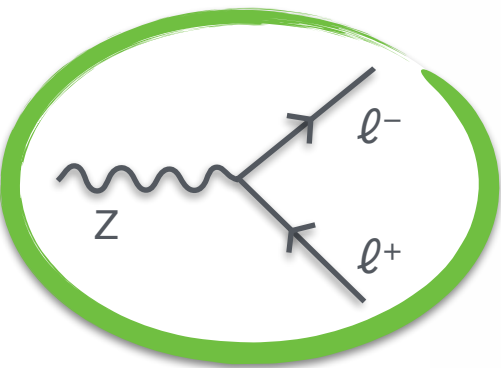
The Standard Model predicts



- Particle content
- Particle interactions

- $\gamma/Z \rightarrow \ell\ell, W \rightarrow \ell\nu$ very well understood
- WWV (V = Z, W) seen at LEP and LHC
- Higgs coupling to fermions and vector bosons observed at LHC
- Coupling of 4 gauge bosons \rightarrow only accessible now!
- Higgs self couplings not yet seen \rightarrow HL-LHC?

$$\mathcal{L} = -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} + i\bar{\psi}\not{D}\psi + \bar{\psi}_i Y_{ij} \psi_j \phi + \text{h.c.} + |D_\mu \phi|^2 - V(\phi)$$



DO WE KNOW KNOW IT ALL?

How do we explore those regions of the SM?

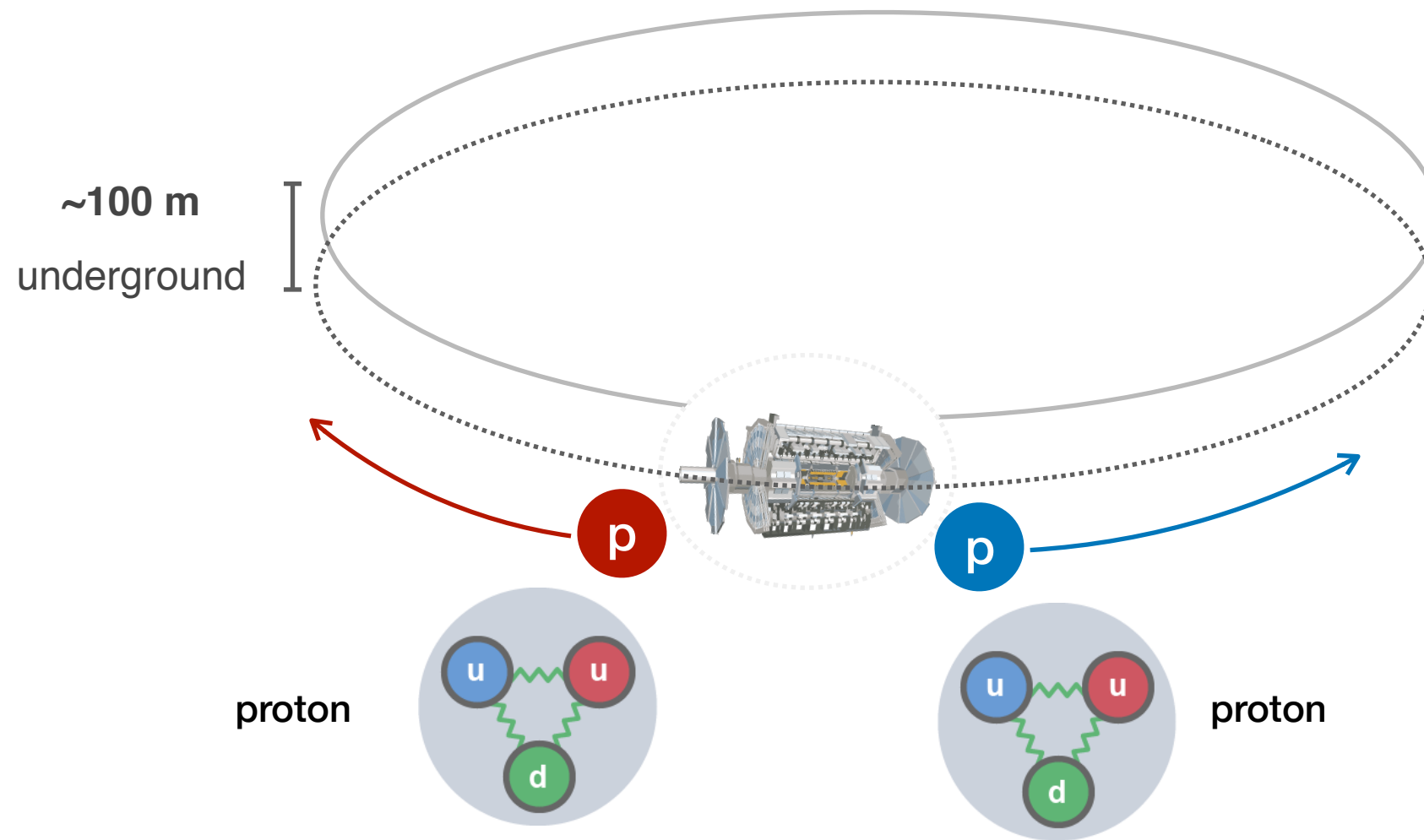
1. Get the vector bosons pairs
2. Compare with the Standard Model theory predictions

How do we explore those regions of the SM?

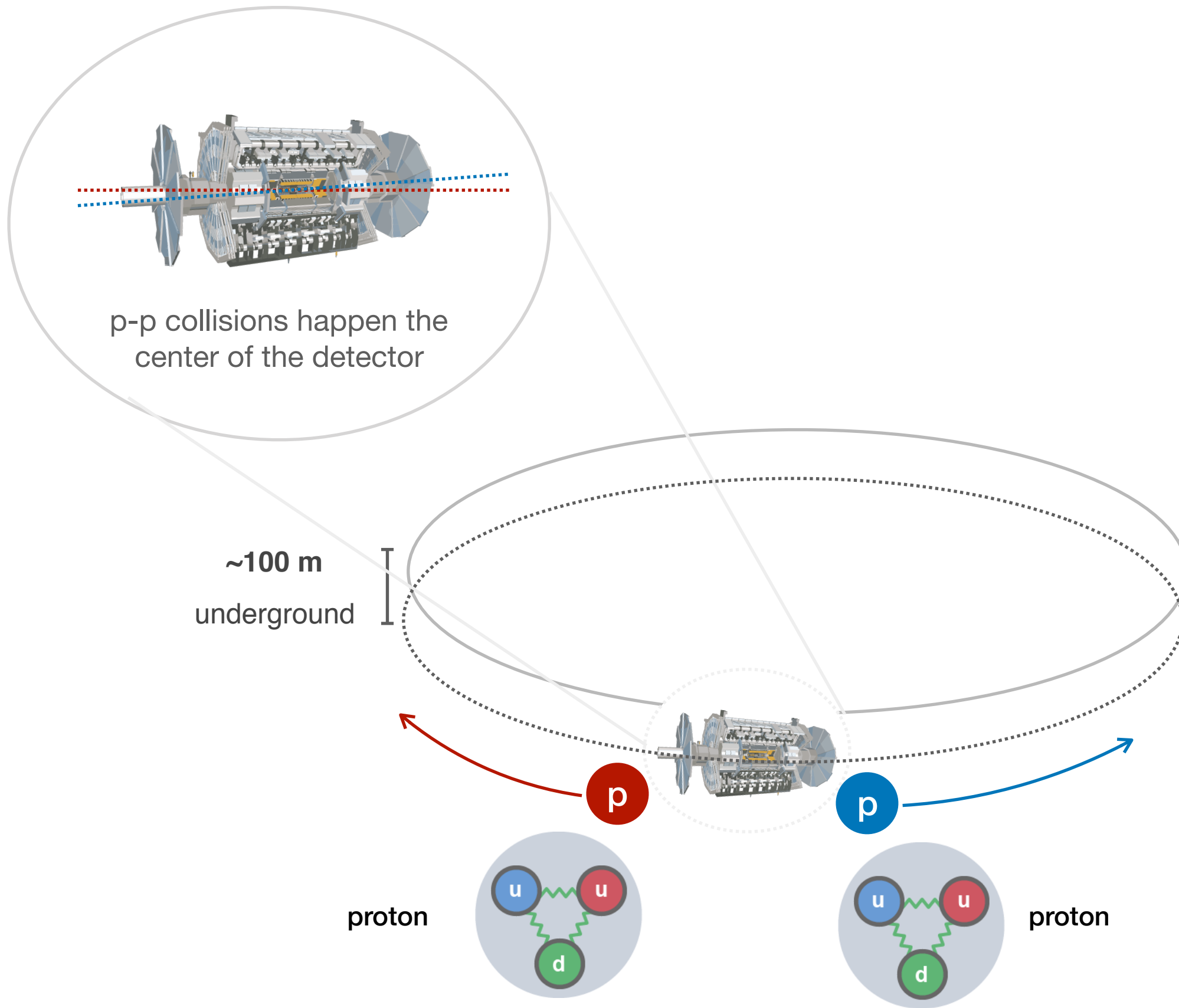
1. Get the vector bosons pairs

2. Compare with the Standard Model theory predictions

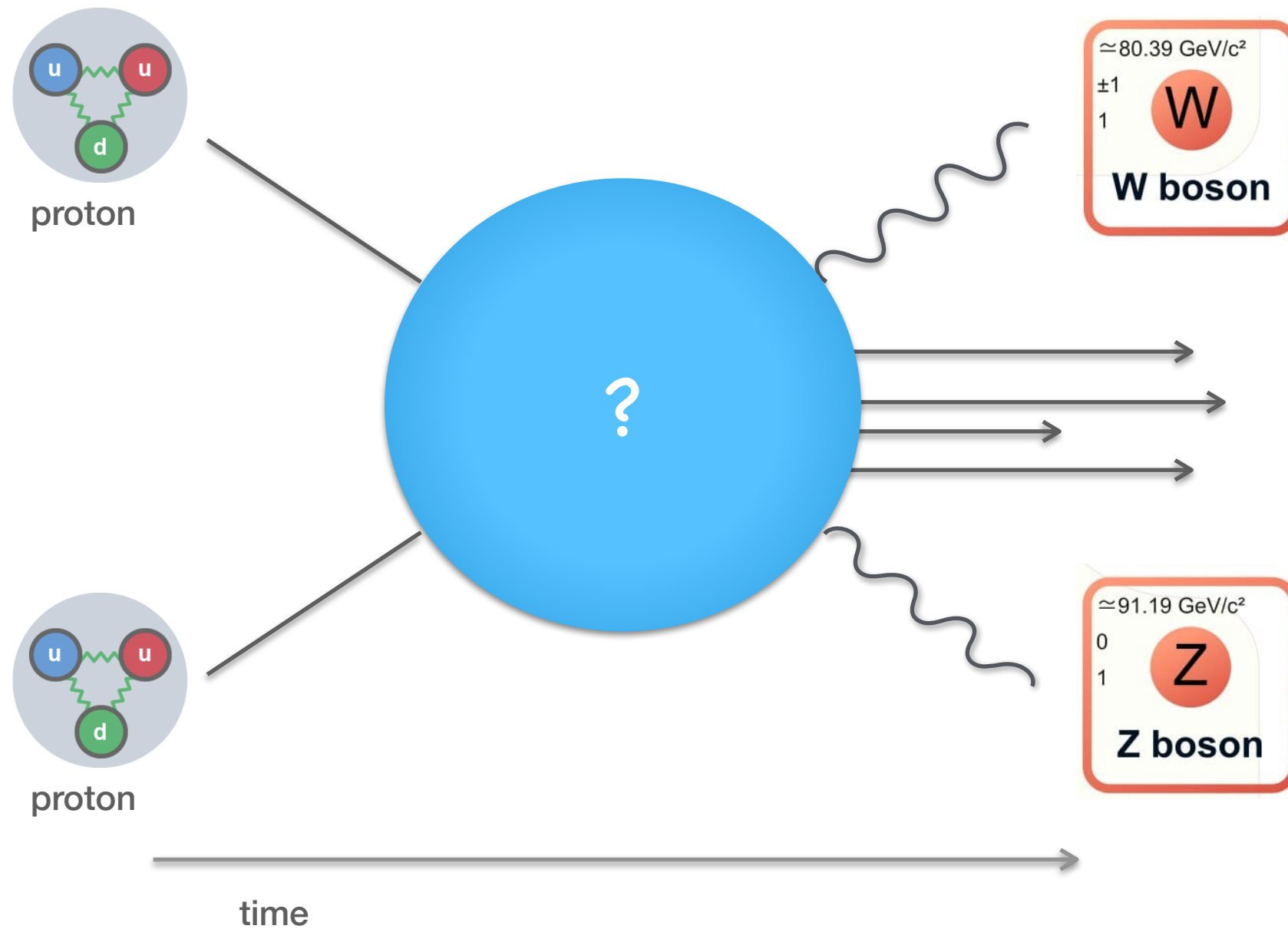
The Large Hadron Collider



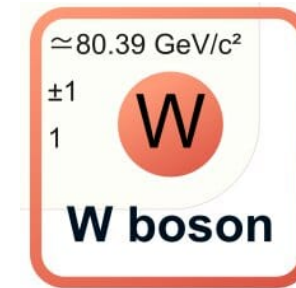
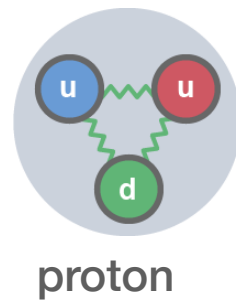
The Large Hadron Collider and ATLAS



From proton collisions to vector boson pairs



From proton collisions to vector boson pairs



W⁺ DECAY MODES

W⁻ modes are charge conjugates of the modes below.

Mode	Fraction (Γ_i/Γ)	Confidence level
Γ_1 $\ell^+ \nu$	[a] (10.80 ± 0.09) %	
Γ_2 $e^+ \nu$	(10.75 ± 0.13) %	
Γ_3 $\mu^+ \nu$	(10.57 ± 0.15) %	
Γ_4 $\tau^+ \nu$	(11.25 ± 0.20) %	
Γ_5 hadrons	(67.60 ± 0.27) %	
Γ_6 $\pi^+ \gamma$	< 8 × 10 ⁻⁵	95%
Γ_7 $D_s^+ \gamma$	< 1.3 × 10 ⁻³	95%
Γ_8 cX	(33.4 ± 2.6) %	
Γ_9 $c\bar{s}$	(31 $^{+13}_{-11}$) %	
Γ_{10} invisible	[b] (1.4 ± 2.9) %	

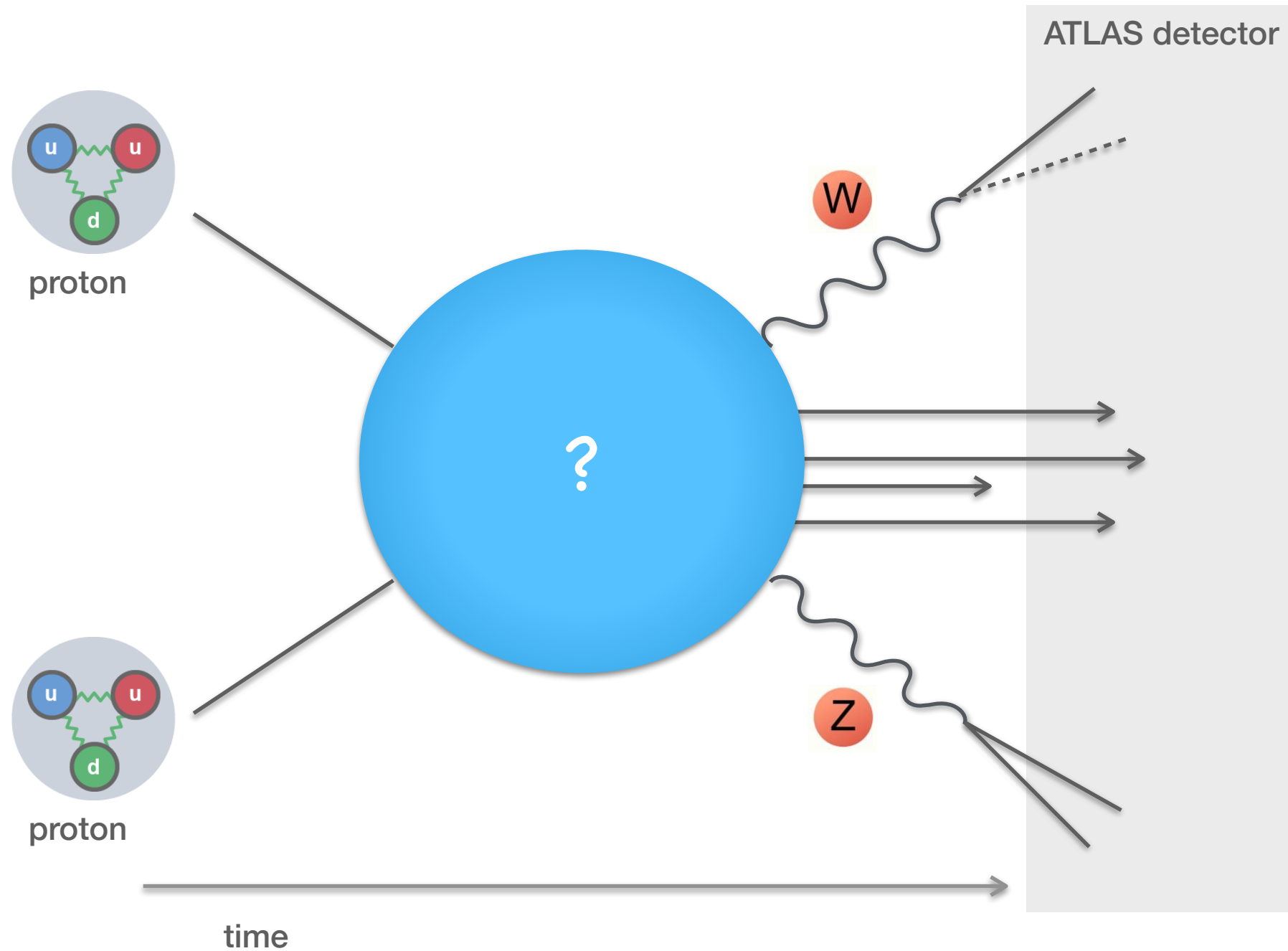
[a] ℓ indicates each type of lepton (e , μ , and τ), not sum over them.

[b] This represents the width for the decay of the W boson into a charged particle with momentum below detectability, $p < 200 \text{ MeV}$.

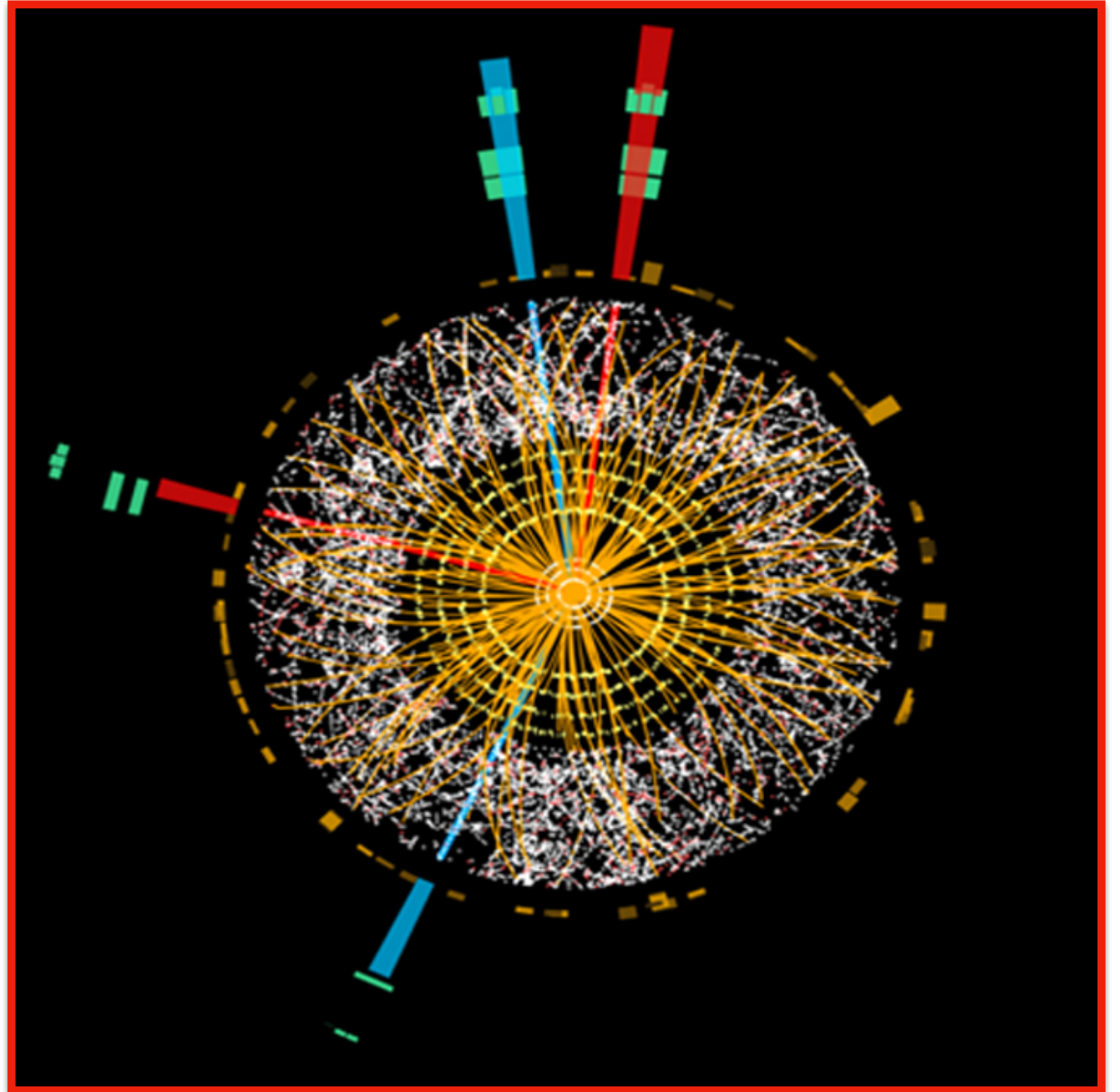
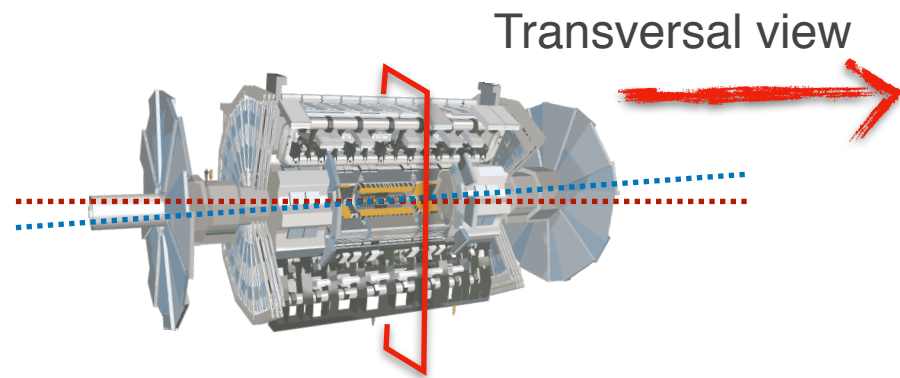
Z DECAY MODES

Mode	Fraction (Γ_i/Γ)	Scale factor/ Confidence level
Γ_1 $e^+ e^-$	(3.363 ± 0.004) %	
Γ_2 $\mu^+ \mu^-$	(3.366 ± 0.007) %	
Γ_3 $\tau^+ \tau^-$	(3.370 ± 0.008) %	
Γ_4 $\ell^+ \ell^-$	[a] (3.3658 ± 0.0023) %	
Γ_5 invisible	(20.00 ± 0.06) %	
Γ_6 hadrons	(69.91 ± 0.06) %	
Γ_7 $(u\bar{u} + c\bar{c})/2$	(11.6 ± 0.6) %	
Γ_8 $(d\bar{d} + s\bar{s} + b\bar{b})/3$	(15.6 ± 0.4) %	
Γ_9 $c\bar{c}$	(12.03 ± 0.21) %	
Γ_{10} $b\bar{b}$	(15.12 ± 0.05) %	
Γ_{11} $b\bar{b}b\bar{b}$	(3.6 ± 1.3) × 10 ⁻⁴	
Γ_{12} ggg	< 1.1 %	CL=95%
Γ_{13} $\pi^0 \gamma$	< 5.2 × 10 ⁻⁵	CL=95%
Γ_{14} $\eta \gamma$	< 5.1 × 10 ⁻⁵	CL=95%
Γ_{15} $\omega \gamma$	< 6.5 × 10 ⁻⁴	CL=95%
Γ_{16} $\eta'(958) \gamma$	< 4.2 × 10 ⁻⁵	CL=95%
Γ_{17} $\gamma \gamma$	< 5.2 × 10 ⁻⁵	CL=95%
Γ_{18} $\gamma \gamma \gamma$	< 1.0 × 10 ⁻⁵	CL=95%
Γ_{19} $\pi^\pm W^\mp$	[b] < 7 × 10 ⁻⁵	CL=95%

From proton collisions to vector boson pairs

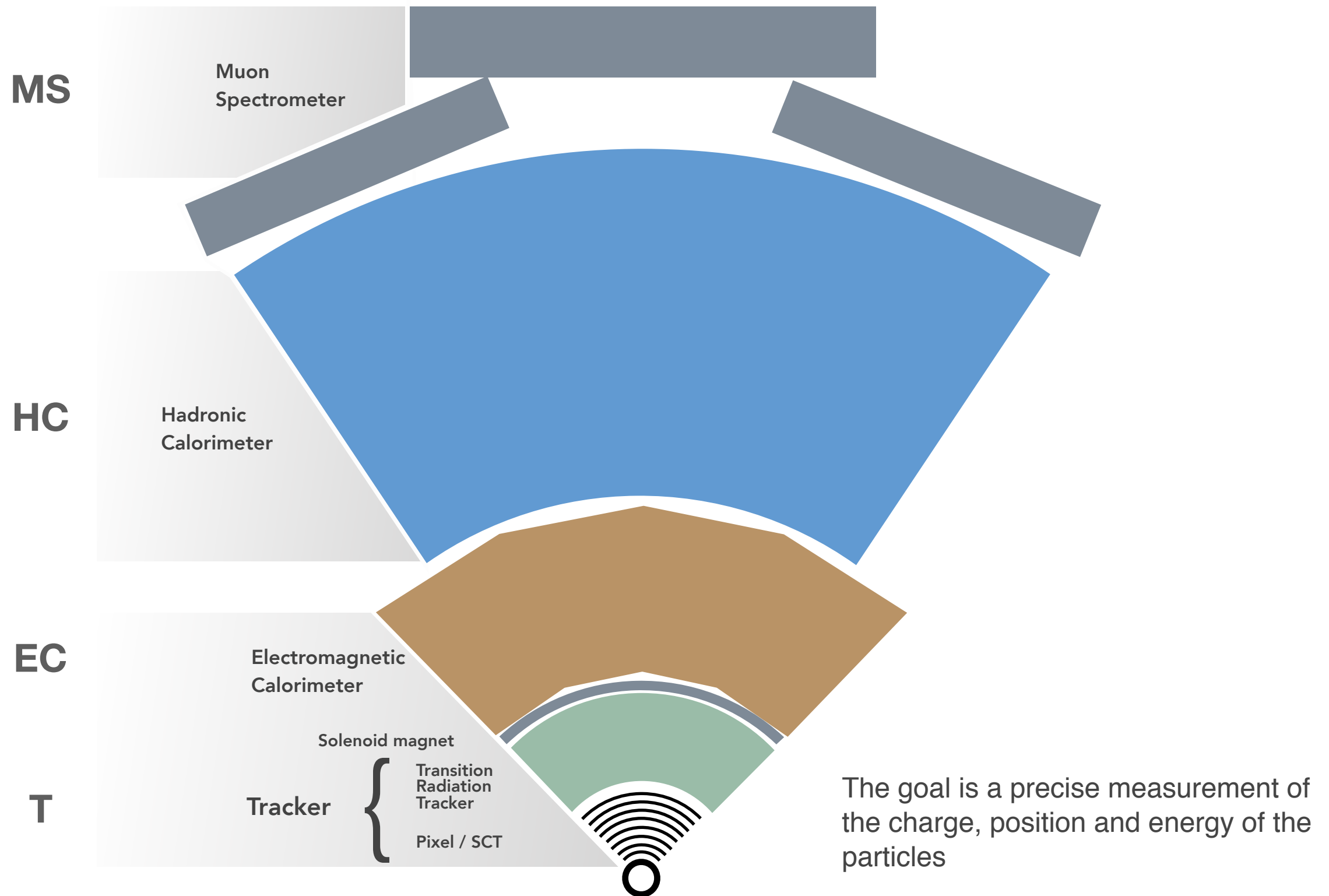


How an ATLAS event look like?

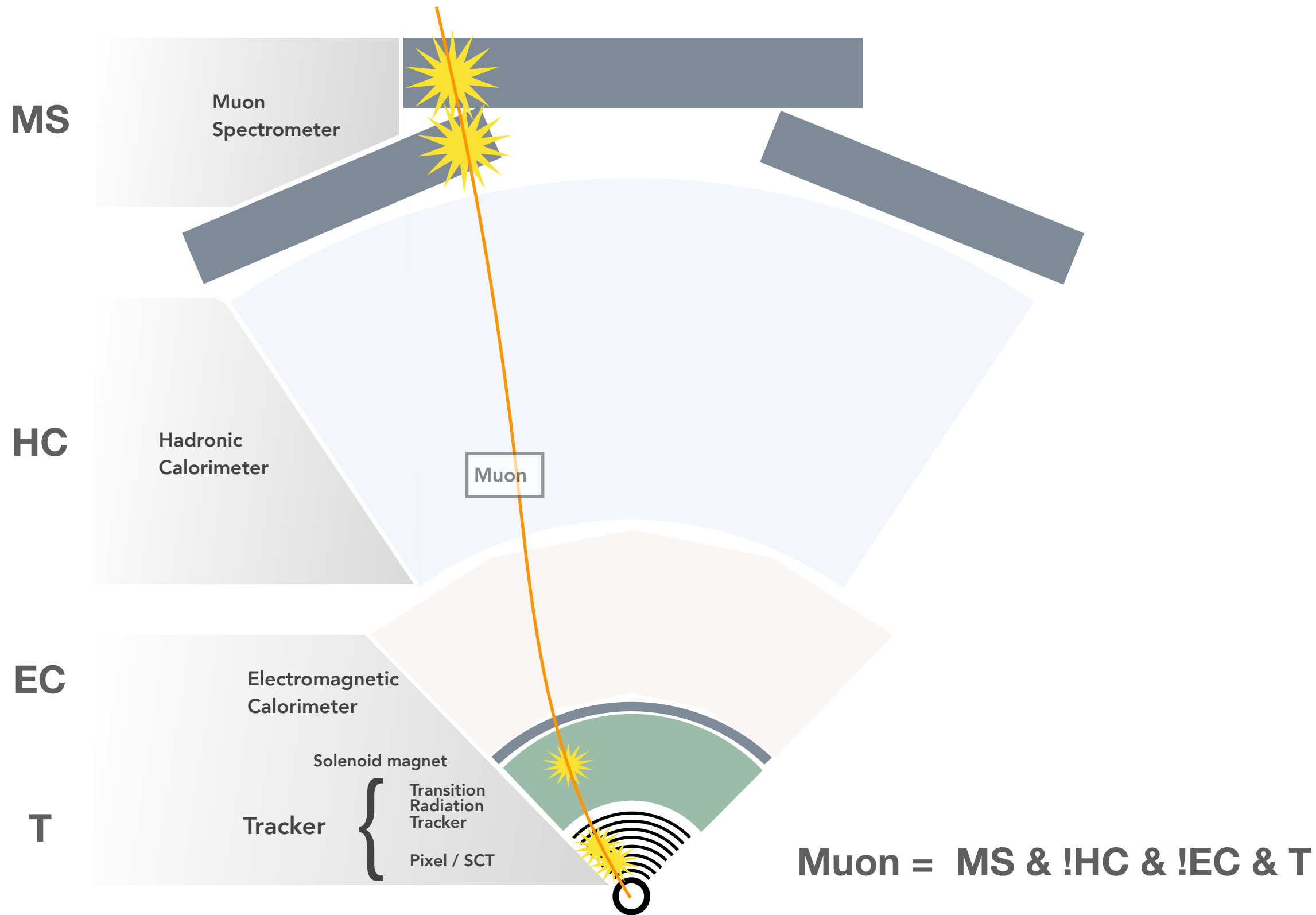


VECTOR BOSONS ARE YOU THERE?

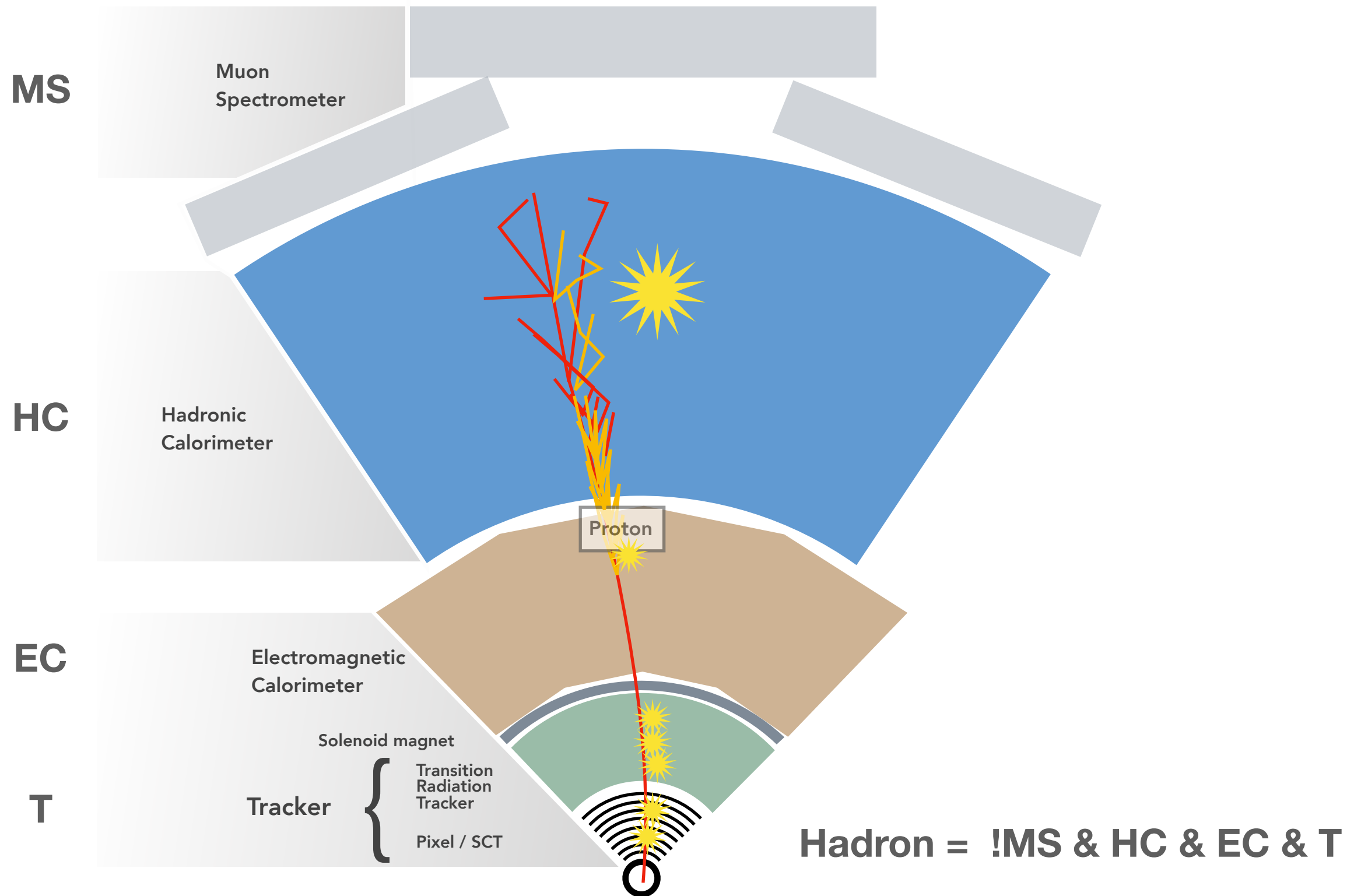
The ATLAS detector



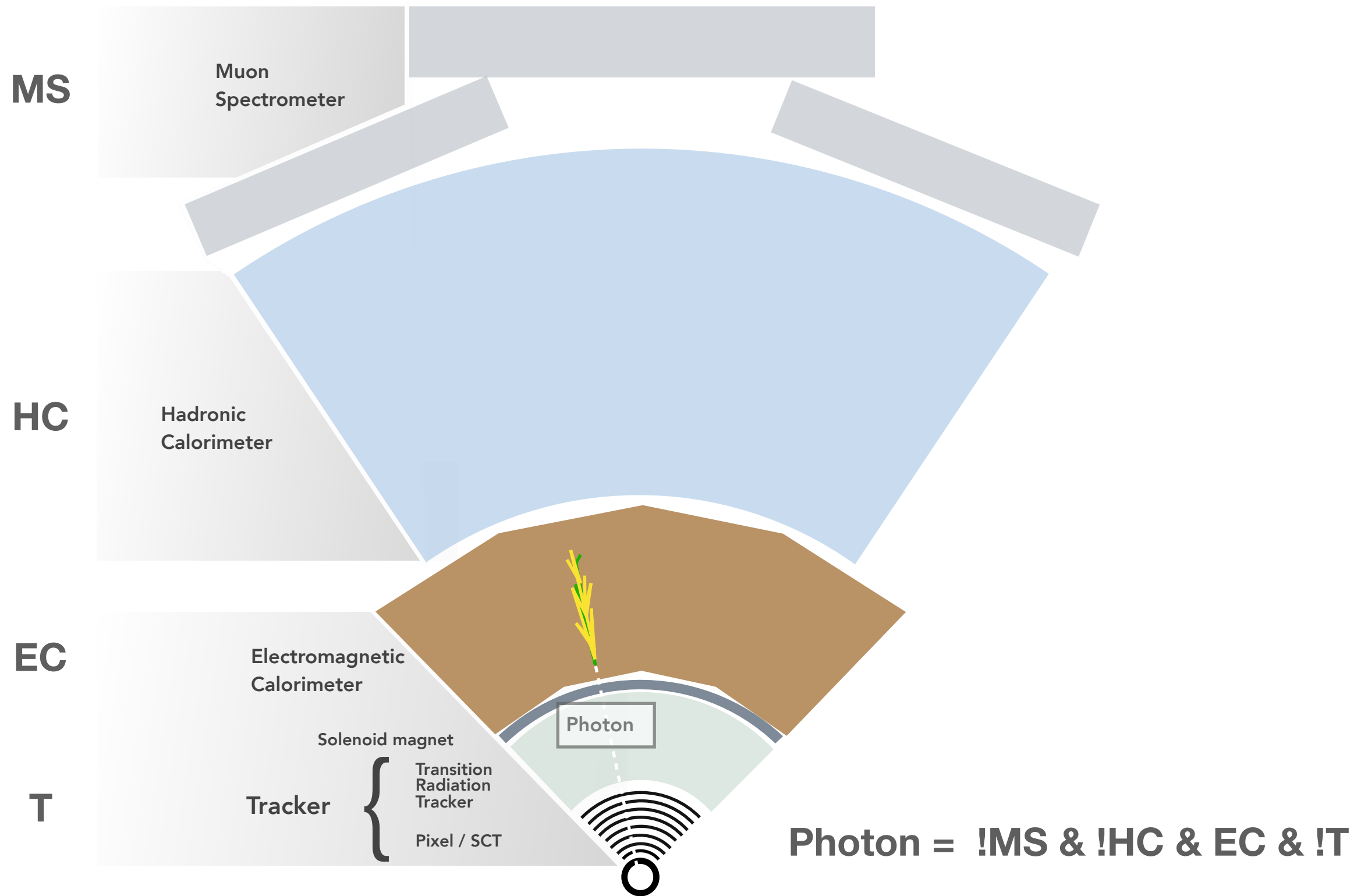
A muon in ATLAS



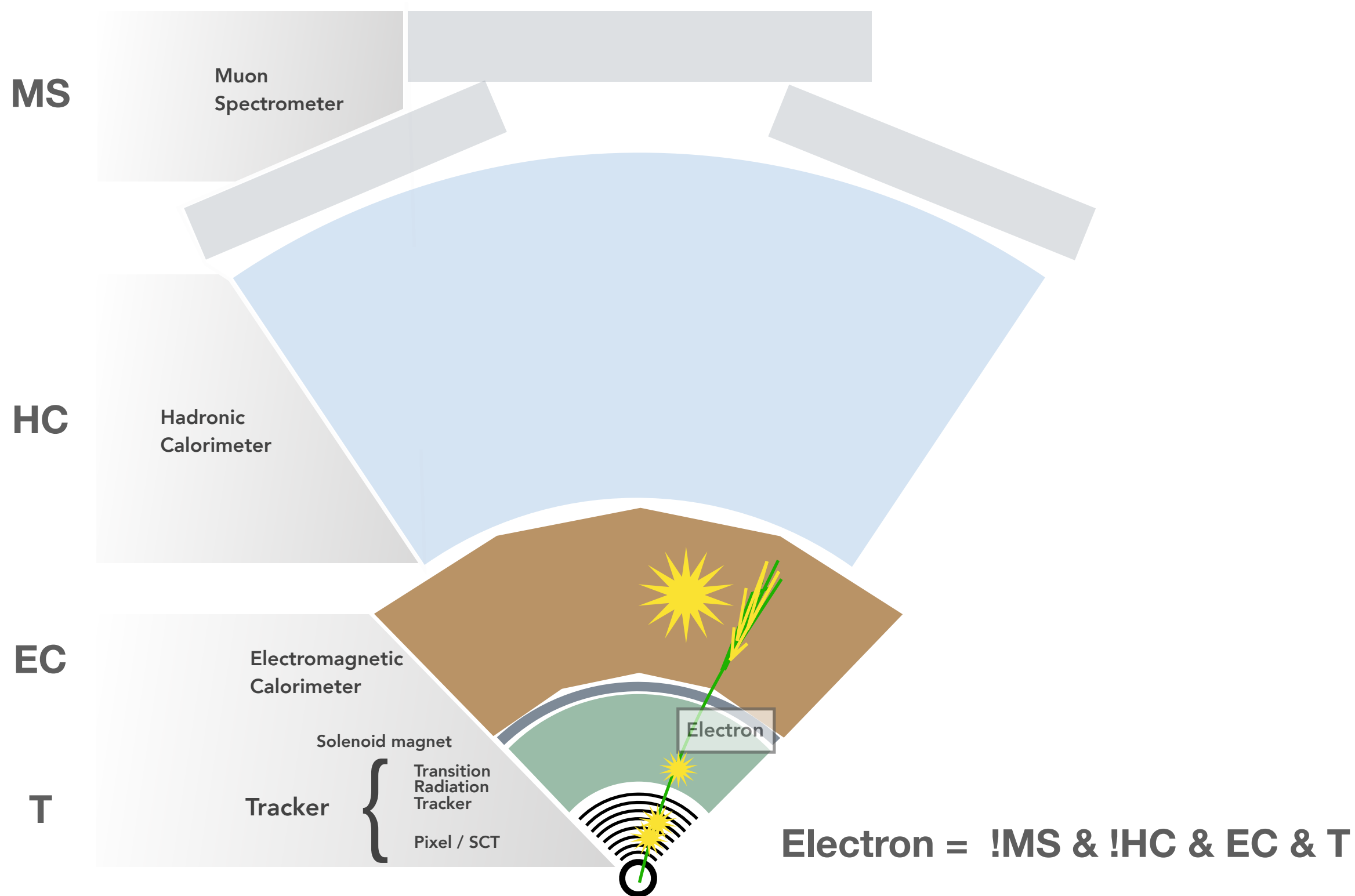
An hadron in ATLAS



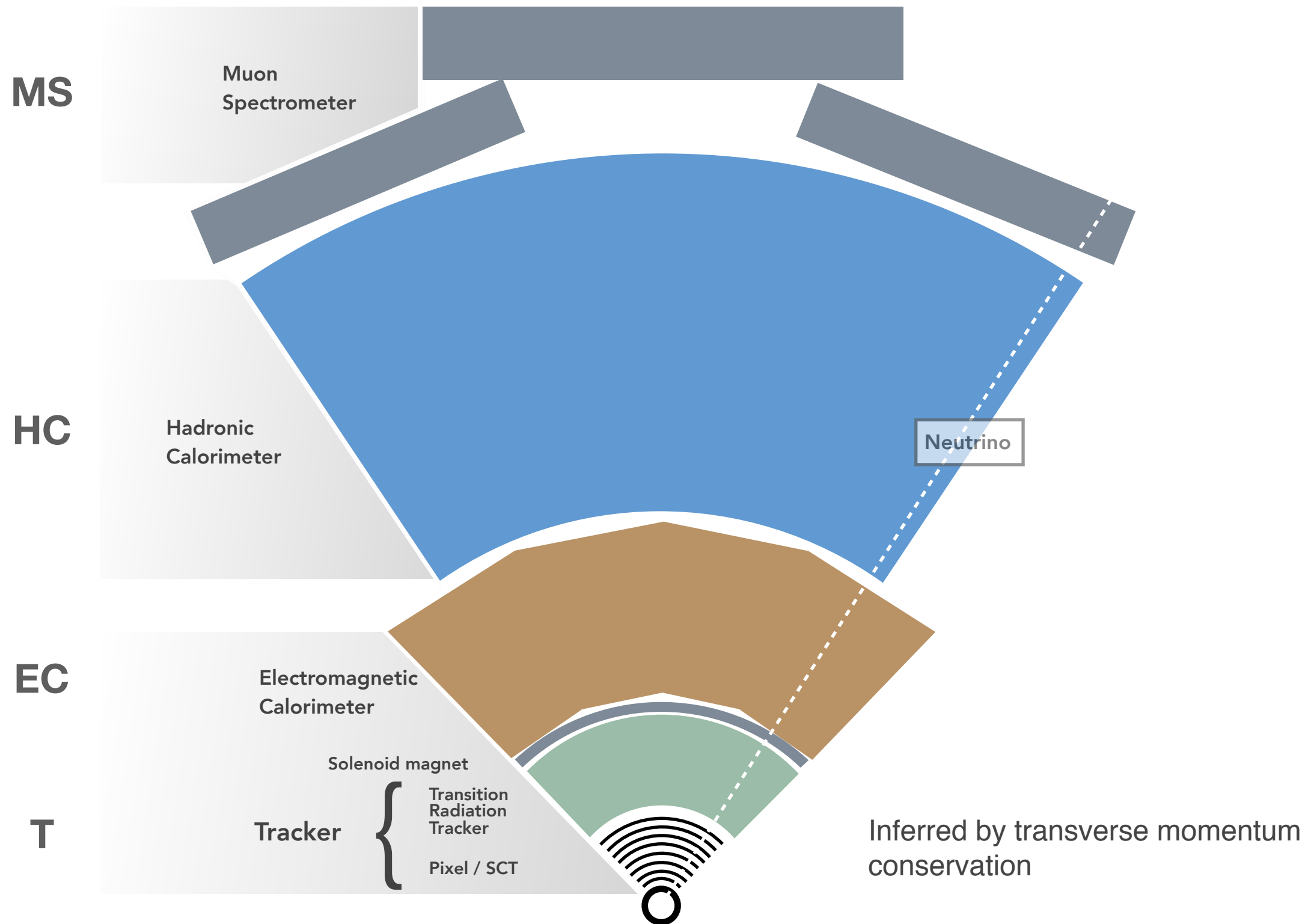
A photon in ATLAS



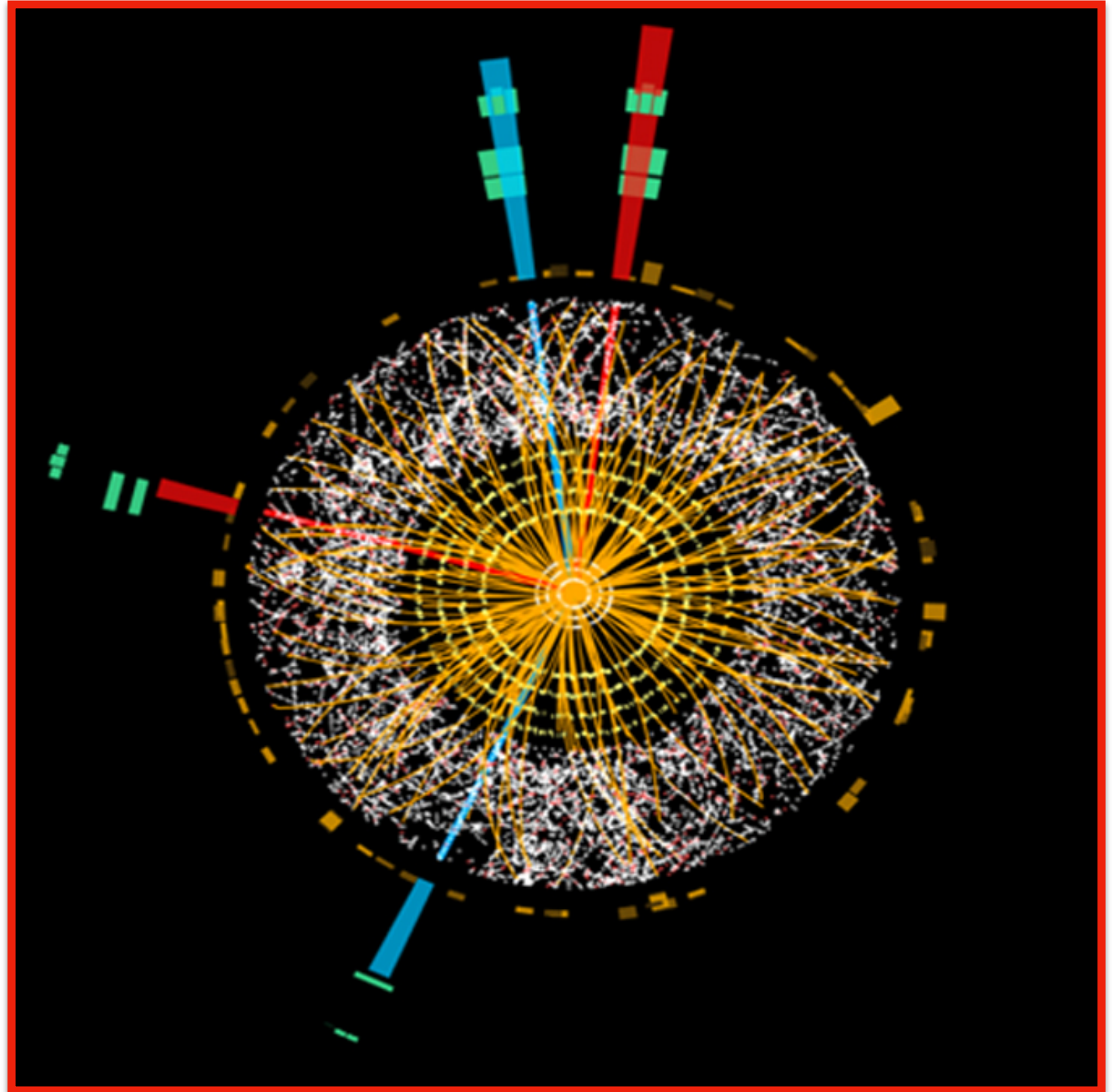
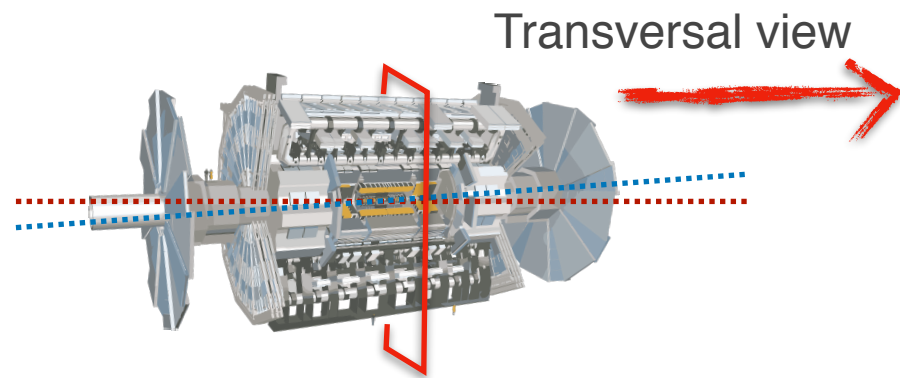
An electron in ATLAS



A neutrino in ATLAS

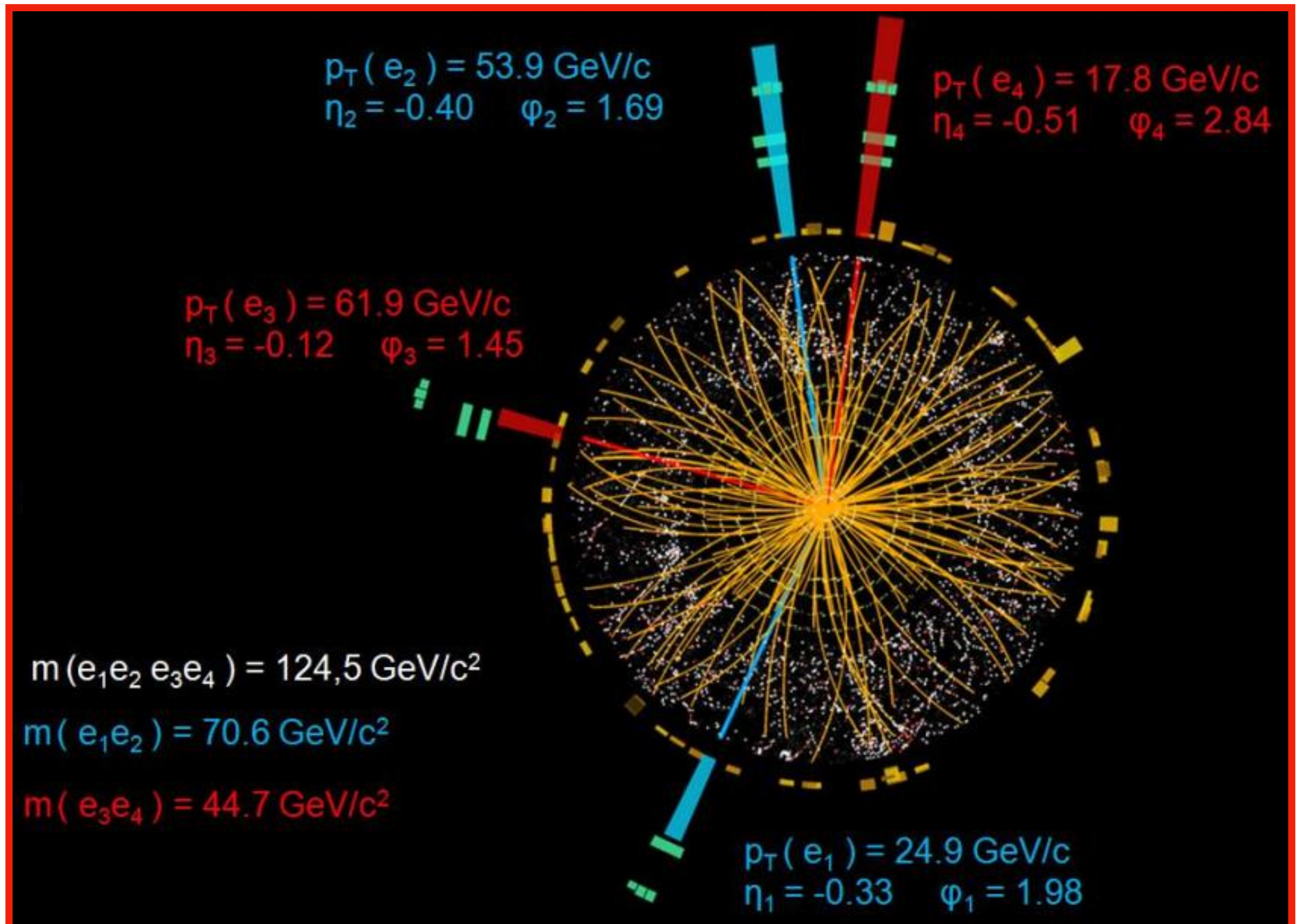


How an ATLAS event look like?



VECTOR BOSONS ARE YOU THERE?

Here we have a $H \rightarrow ZZ^* \rightarrow e^+e^- e^+e^-$ candidate!

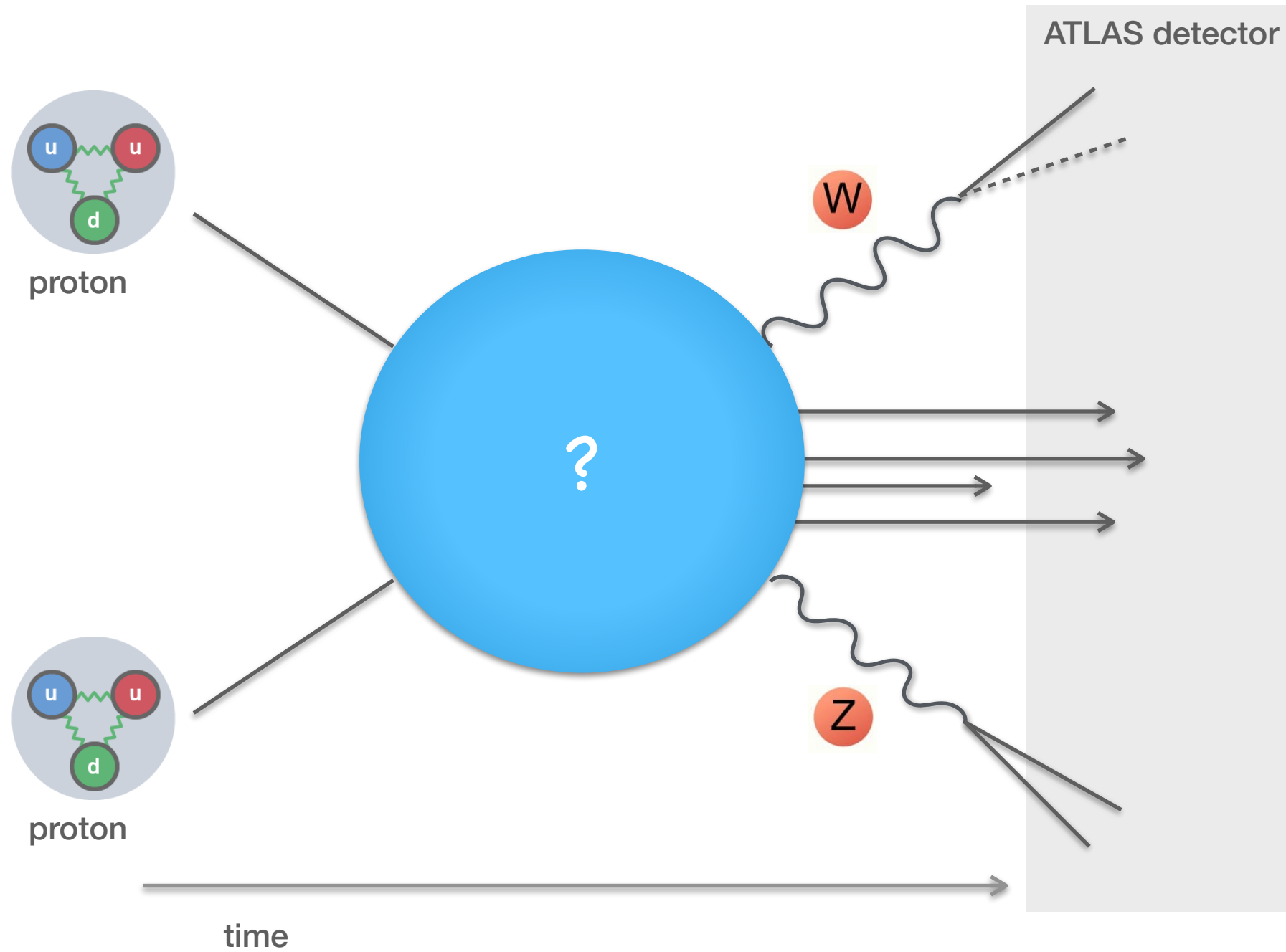


How do we explore those regions of the SM?

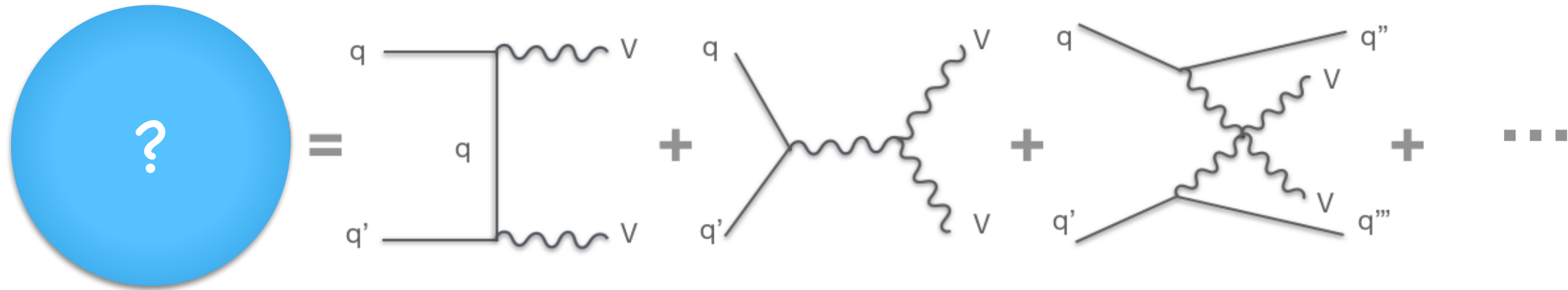
1. Get the vector bosons pairs

**2. Compare with the Standard Model
theory predictions**

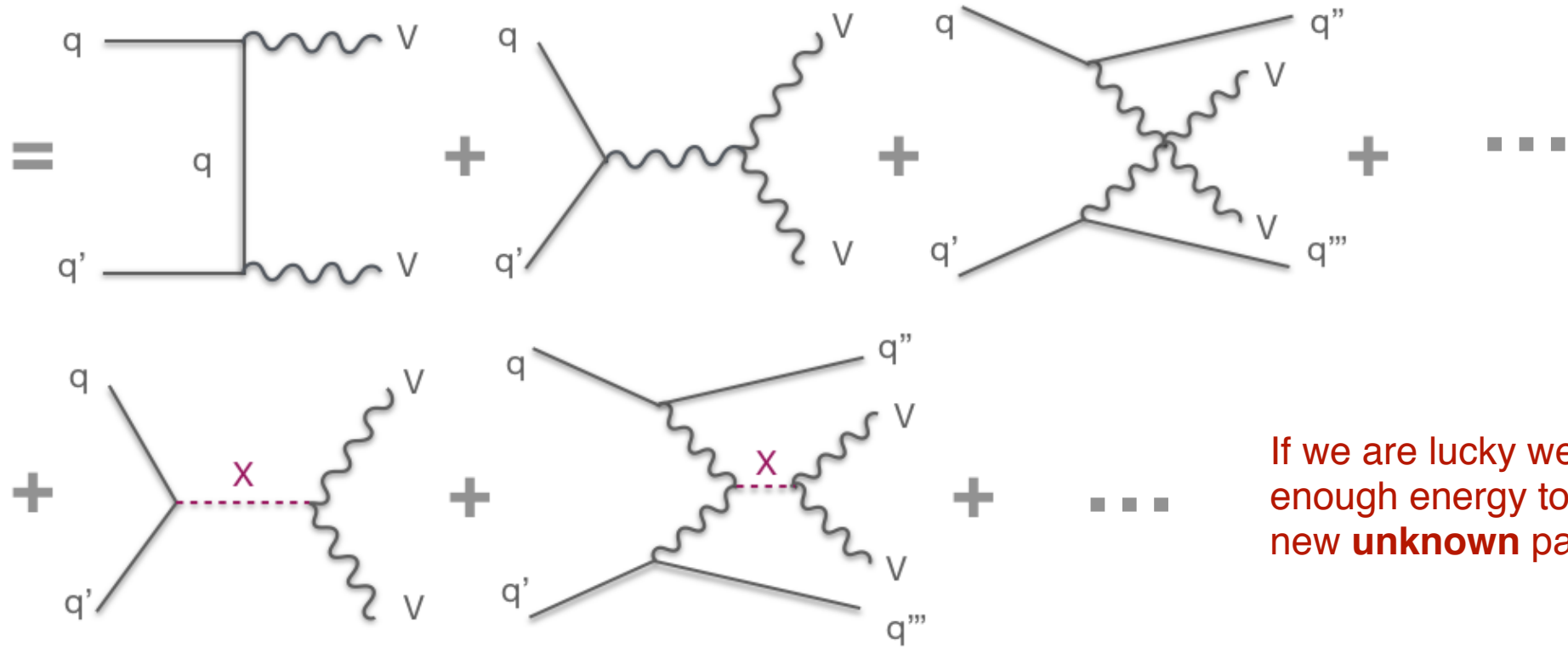
Vector boson pairs



Vector boson pairs to test the SM



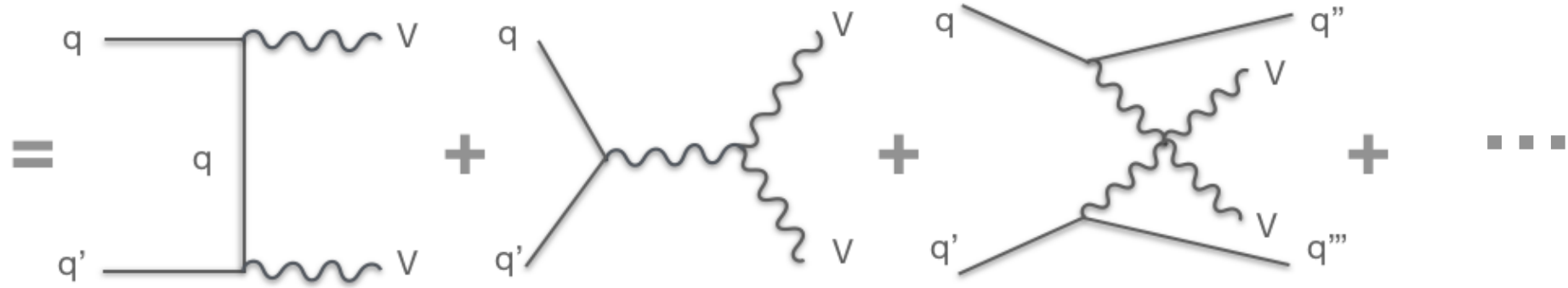
Vector boson pairs to go **beyond the SM**



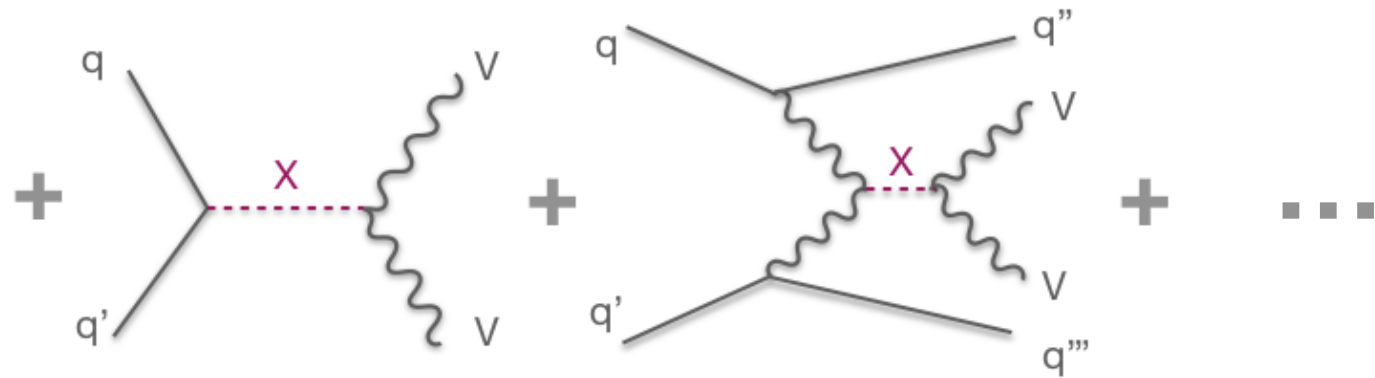
Plan A

If we are lucky we have enough energy to produce a new **unknown** particle on-shell

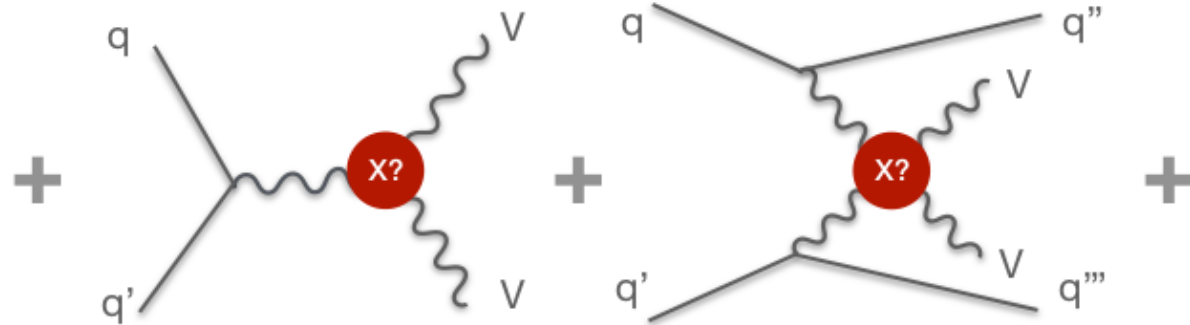
Vector boson pairs to go **beyond the SM**



Plan A



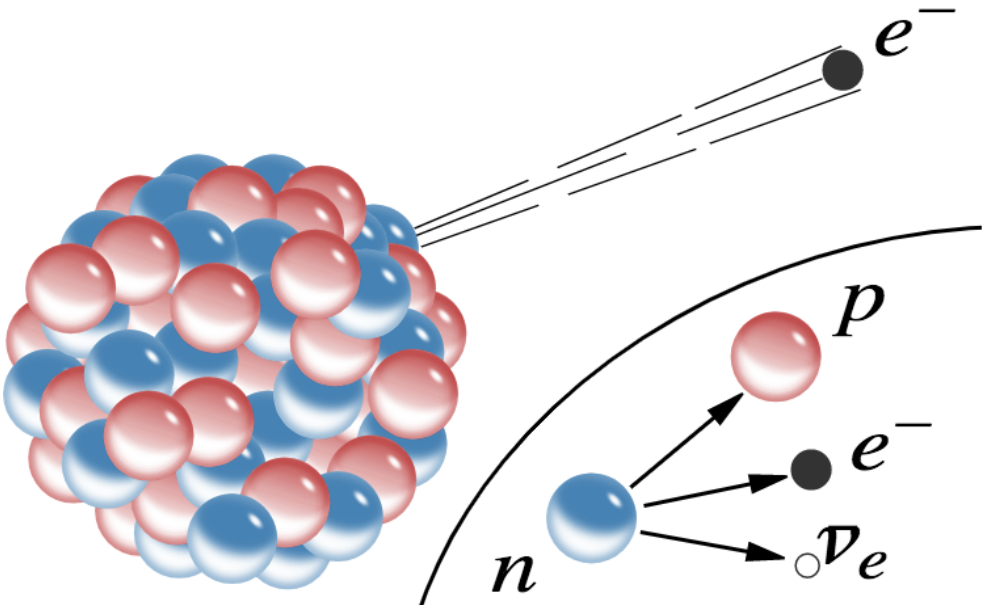
Plan B



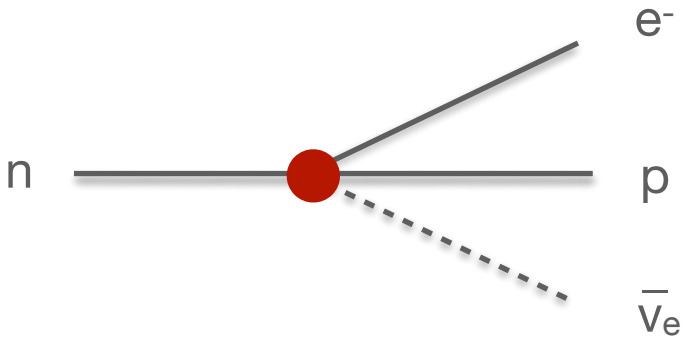
If not enough energy, but new particle \rightarrow changes on the bosons self-couplings

And this won't be the first time!

Fermi Theory of β decay

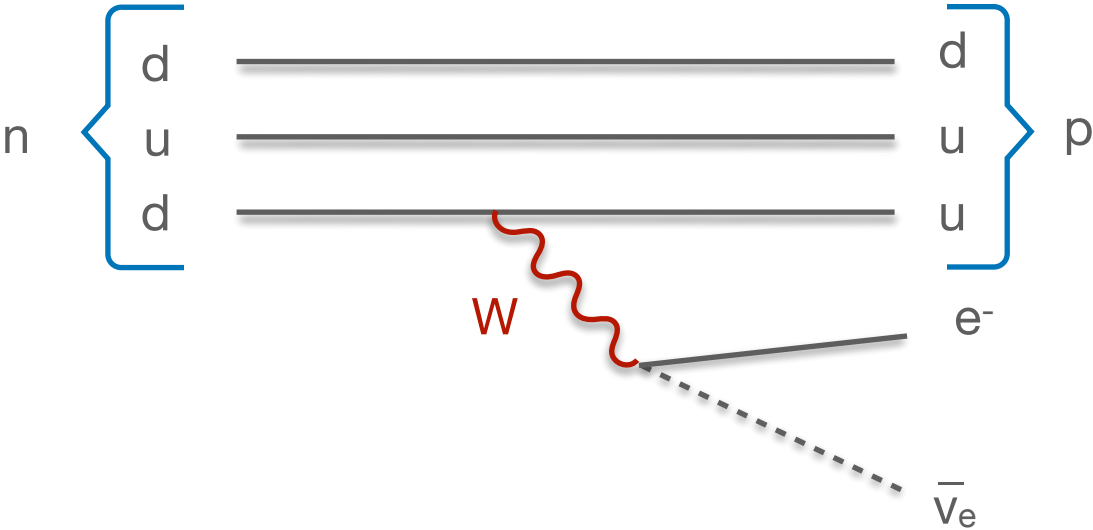


Fermi theory (1933) originally predicted a 4-fermion point like interaction



Excellent giving predictions at low energy, but....

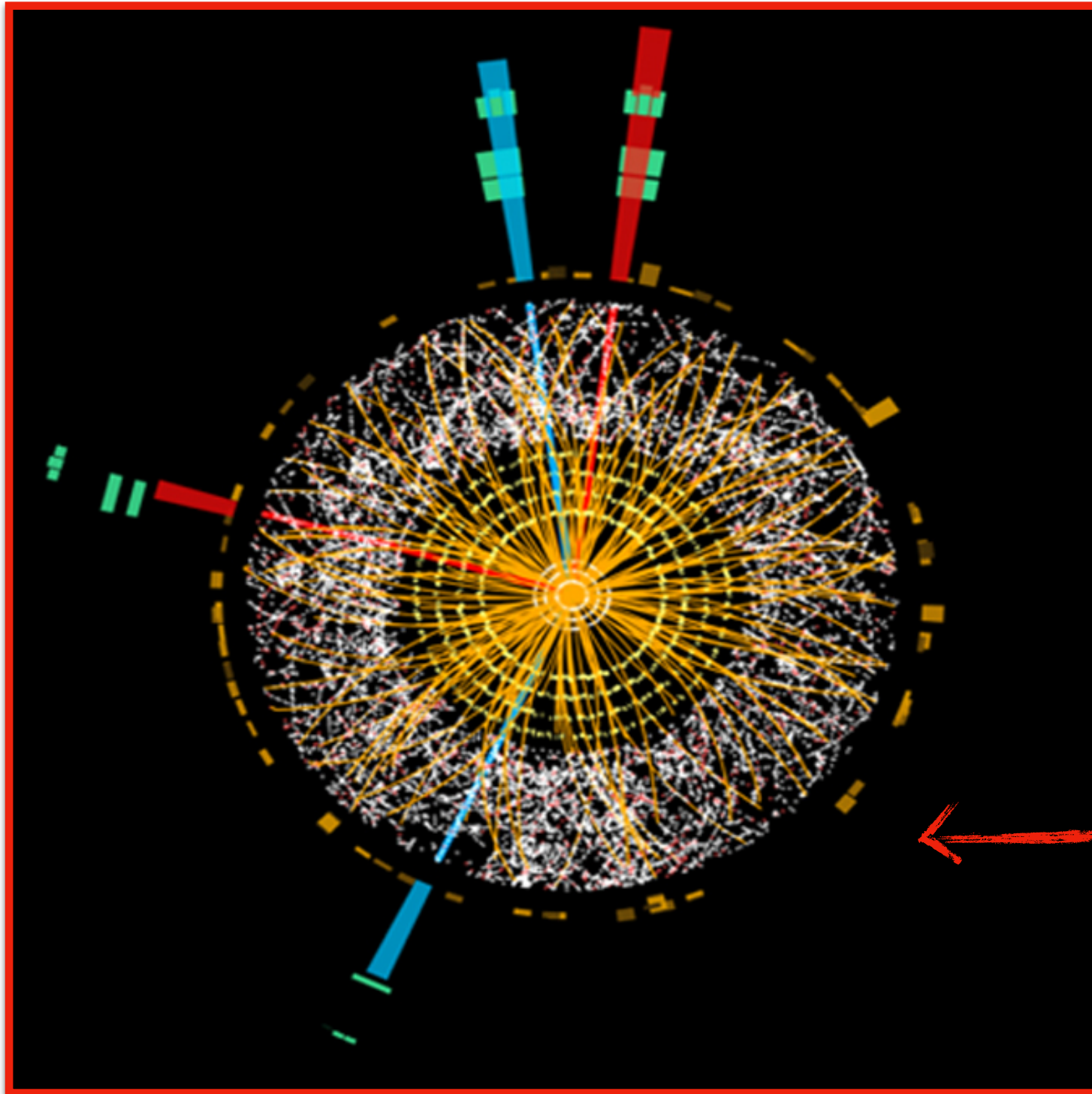
Nowadays we know that we need a W boson exchange!



The Fermi theory is an Effective Field Theory

Comparing with theory

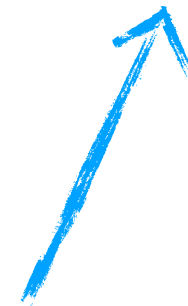
Detector measurement



Theory

$$\begin{aligned}\mathcal{L} = & -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} \\ & + i\bar{\psi}\not{D}\psi \\ & + \chi_i y_{ij} \chi_j \phi + \text{h.c.} \\ & + |D_m \phi|^2 - V(\phi)\end{aligned}$$

How?



Measuring and calculating **Cross-sections!**

A cross section is a measure of the probability that a specific process will take place

A cross section measurement

The diagram illustrates the formula for cross-section measurement: $\sigma = \frac{N}{L}$. Three arrows point from descriptive text to the variables in the equation: one to σ , one to N , and one to L .

Cross Section
[Your measurement]

Number of events
[Measured]

Integrated Luminosity
[Provided by LHC]

$$\sigma = \frac{N}{L}$$

A cross section measurement

Number of observed
events (just count ...)

Number of background events
(measured from data or
predicted by theory)

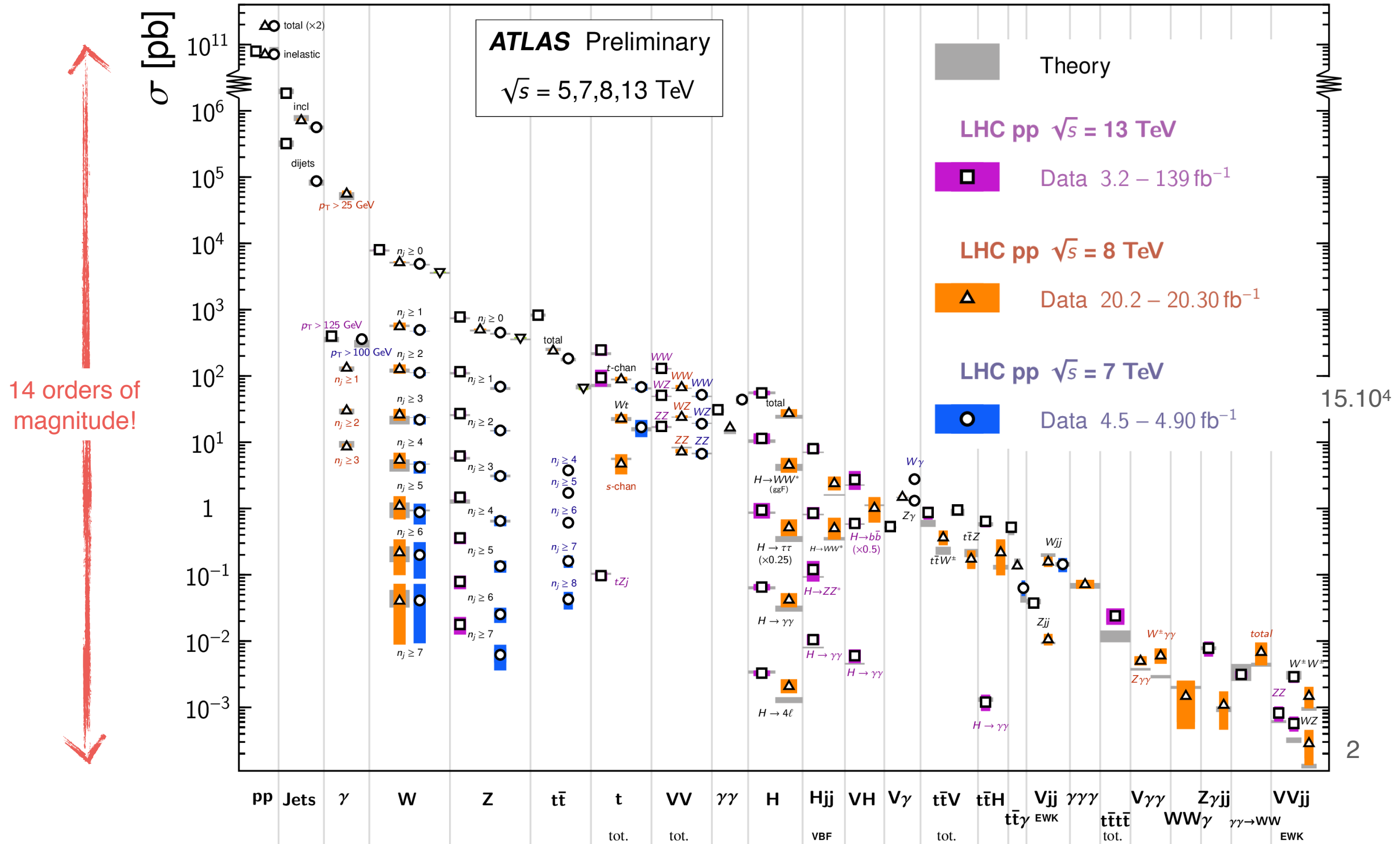
$$\sigma = \frac{N_{\text{obs}} - N_{\text{bkg}}}{L \cdot \epsilon \cdot A}$$

Acceptance
[Your detector volume]

Efficiency
[Your detector characteristics]

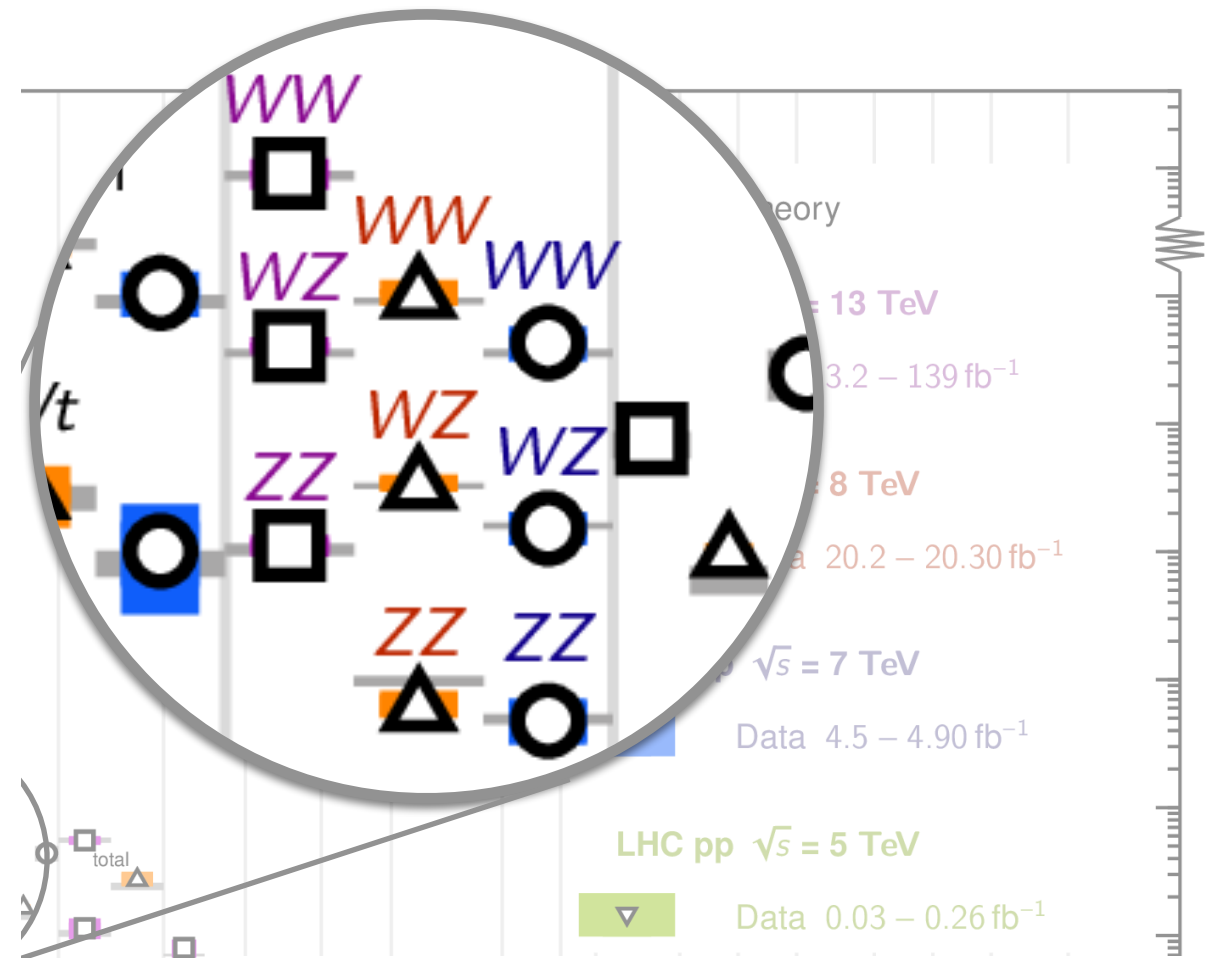
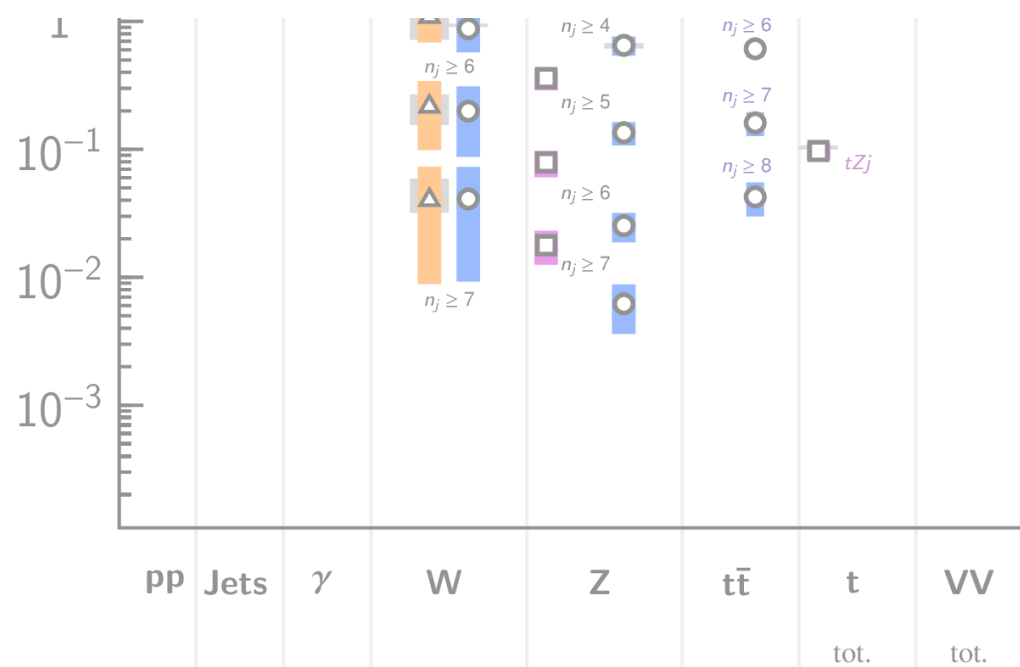
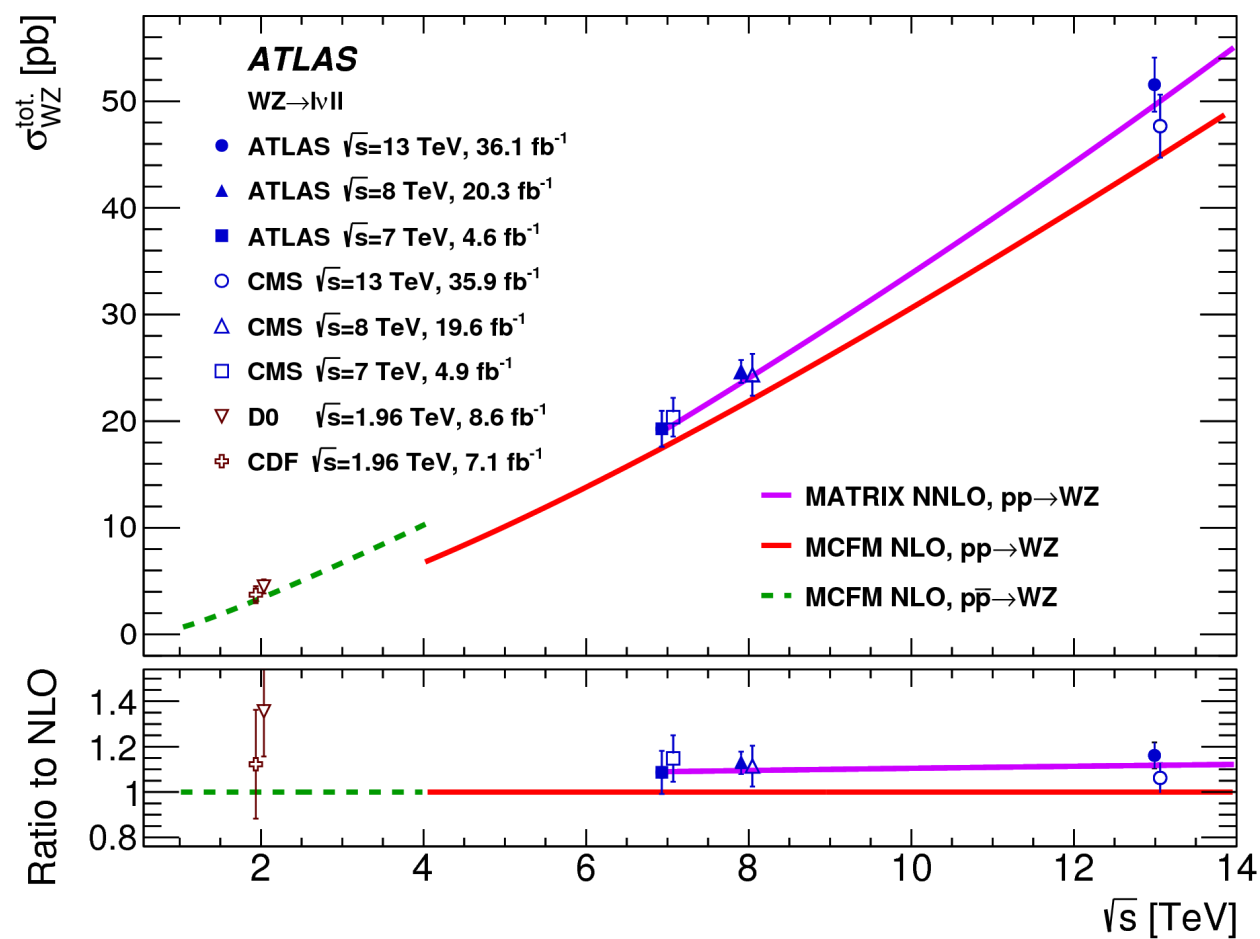
The Standard Model testing status

Events per month*



* at 13 TeV assuming 3 fb^{-1} are collected per month

The Standard Model testing status



Good agreement with the SM predictions!

How do we explore those regions of the SM?

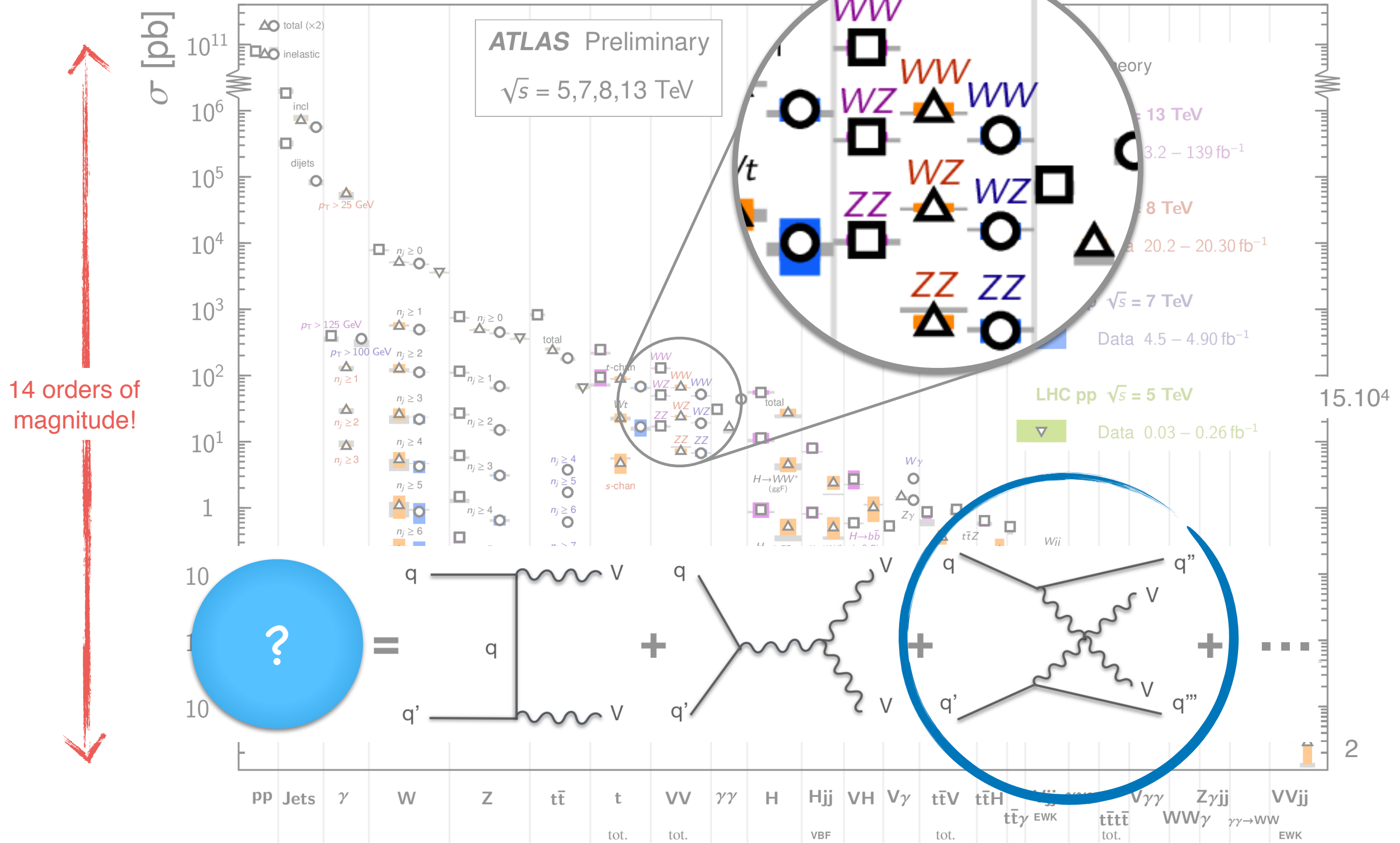
1. Get the vector bosons pairs

**2. Compare with the Standard Model
theory predictions**

lets push harder!

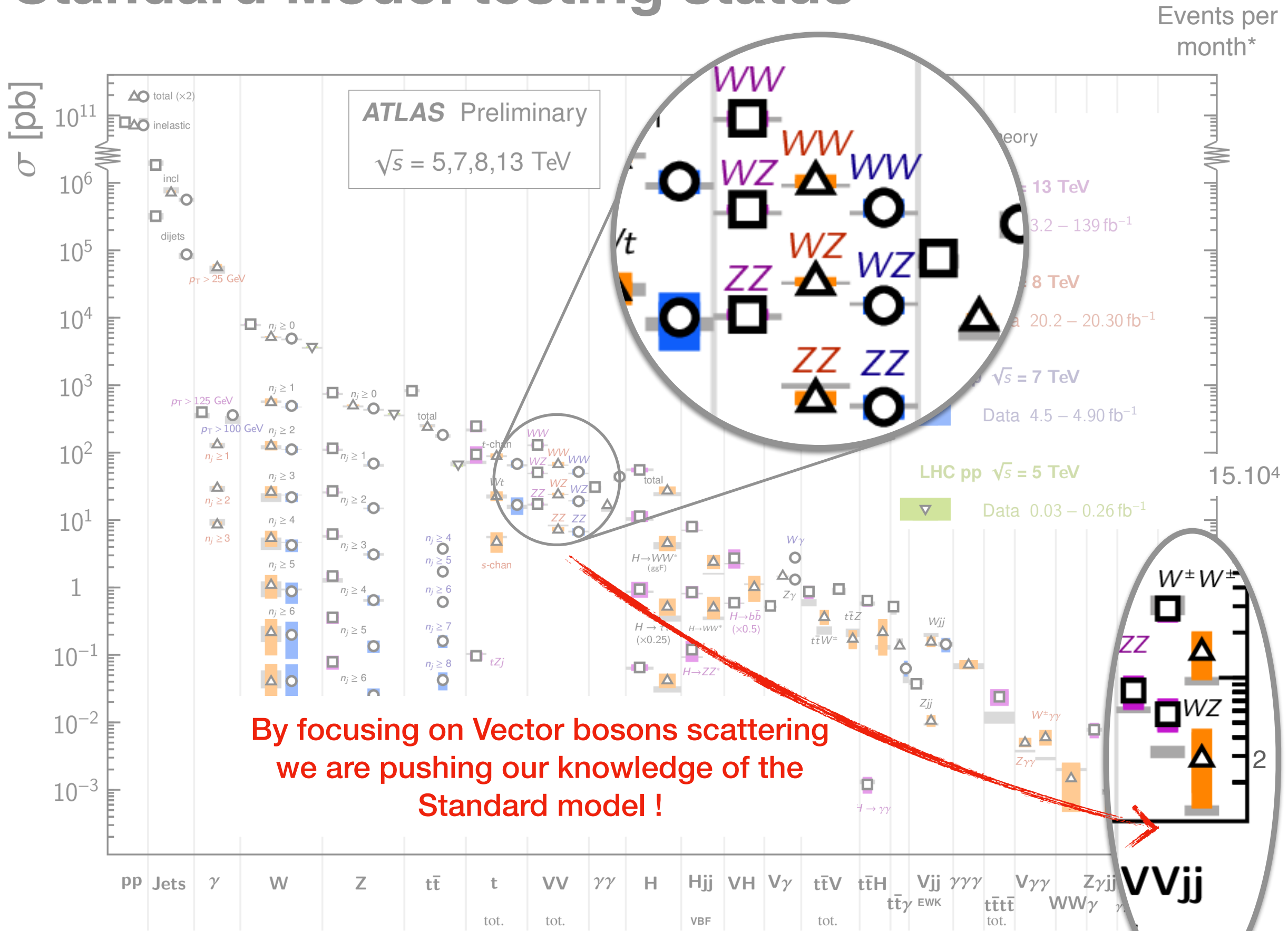
How can we look for the unknown?

Events per month*



* at 13 TeV assuming 3fb⁻¹ are collected per month

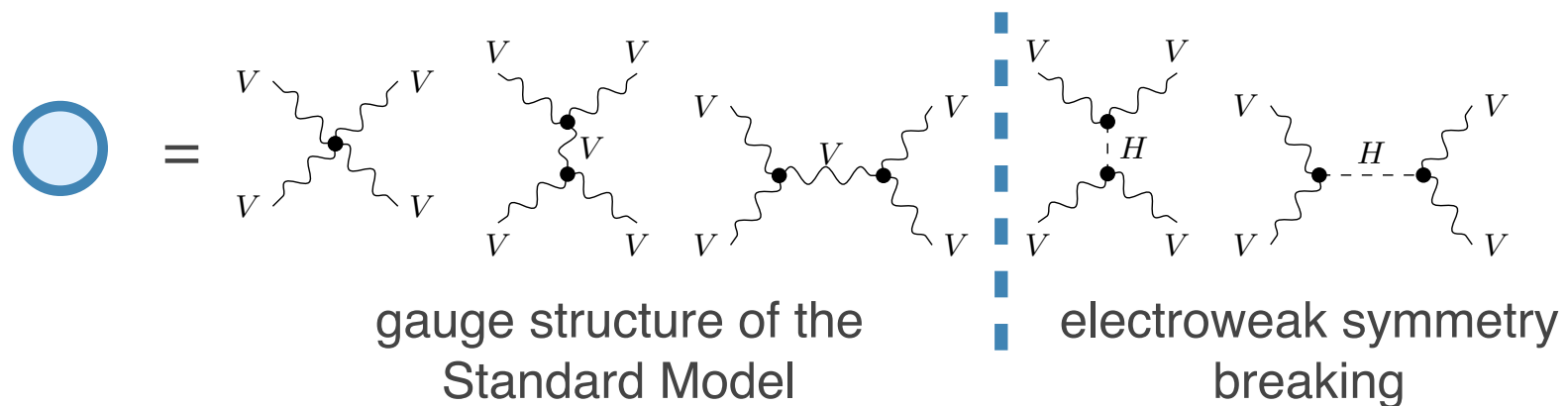
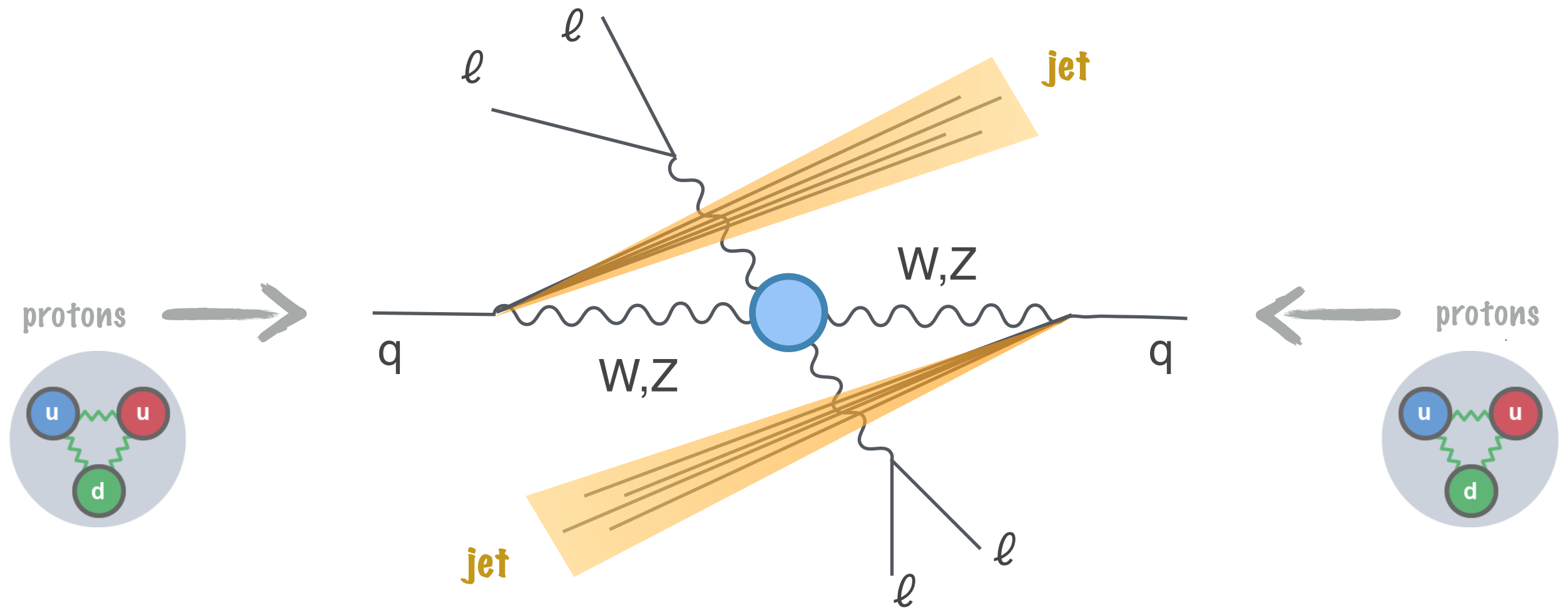
The Standard Model testing status



* at 13 TeV assuming 3fb⁻¹ are collected per month

Vector Boson Scattering at the LHC

Protons in LHC serve as source of vector boson beams.



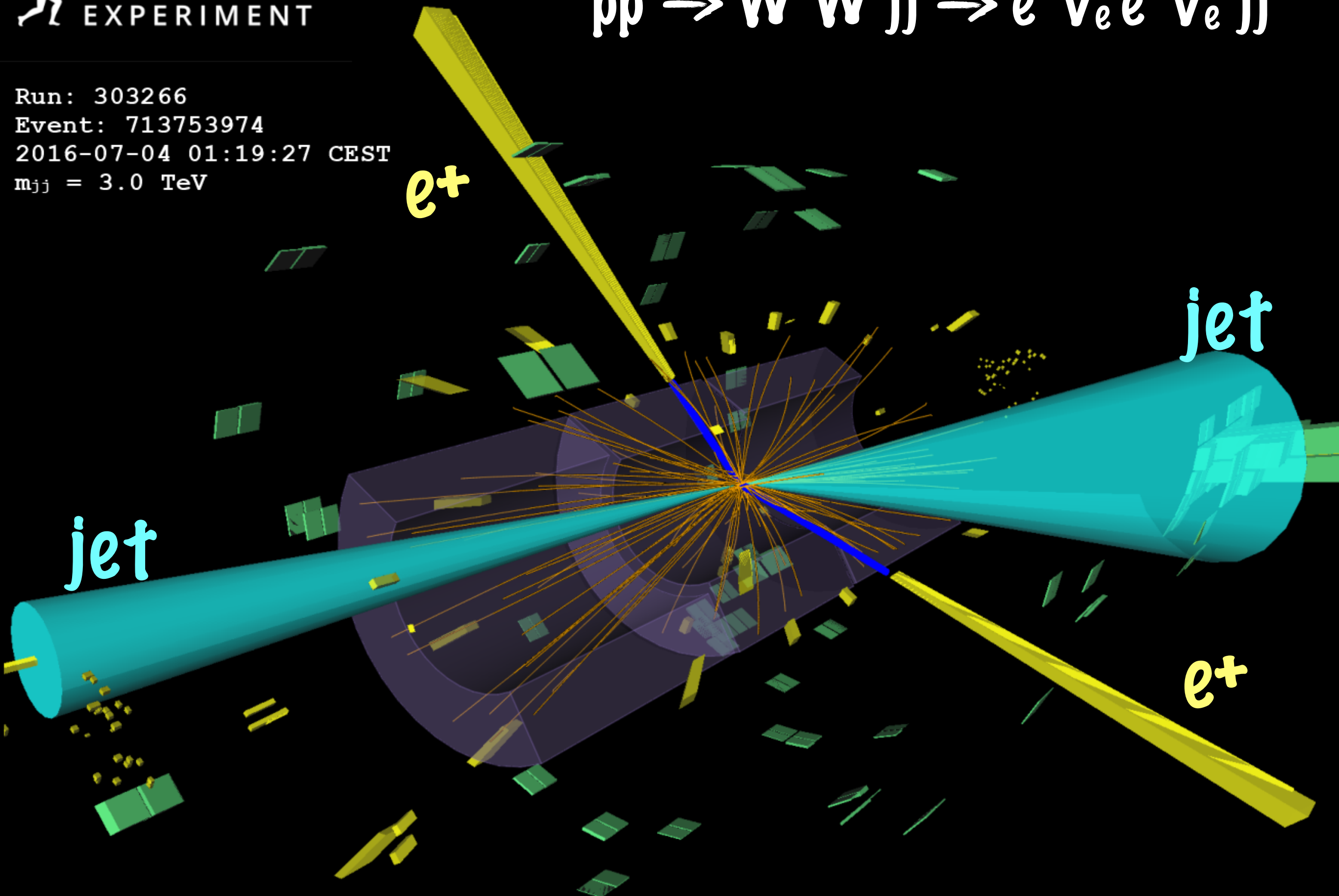
$$pp \rightarrow W^+W^+jj \rightarrow e^+ \nu_e e^+ \nu_e jj$$

Run: 303266

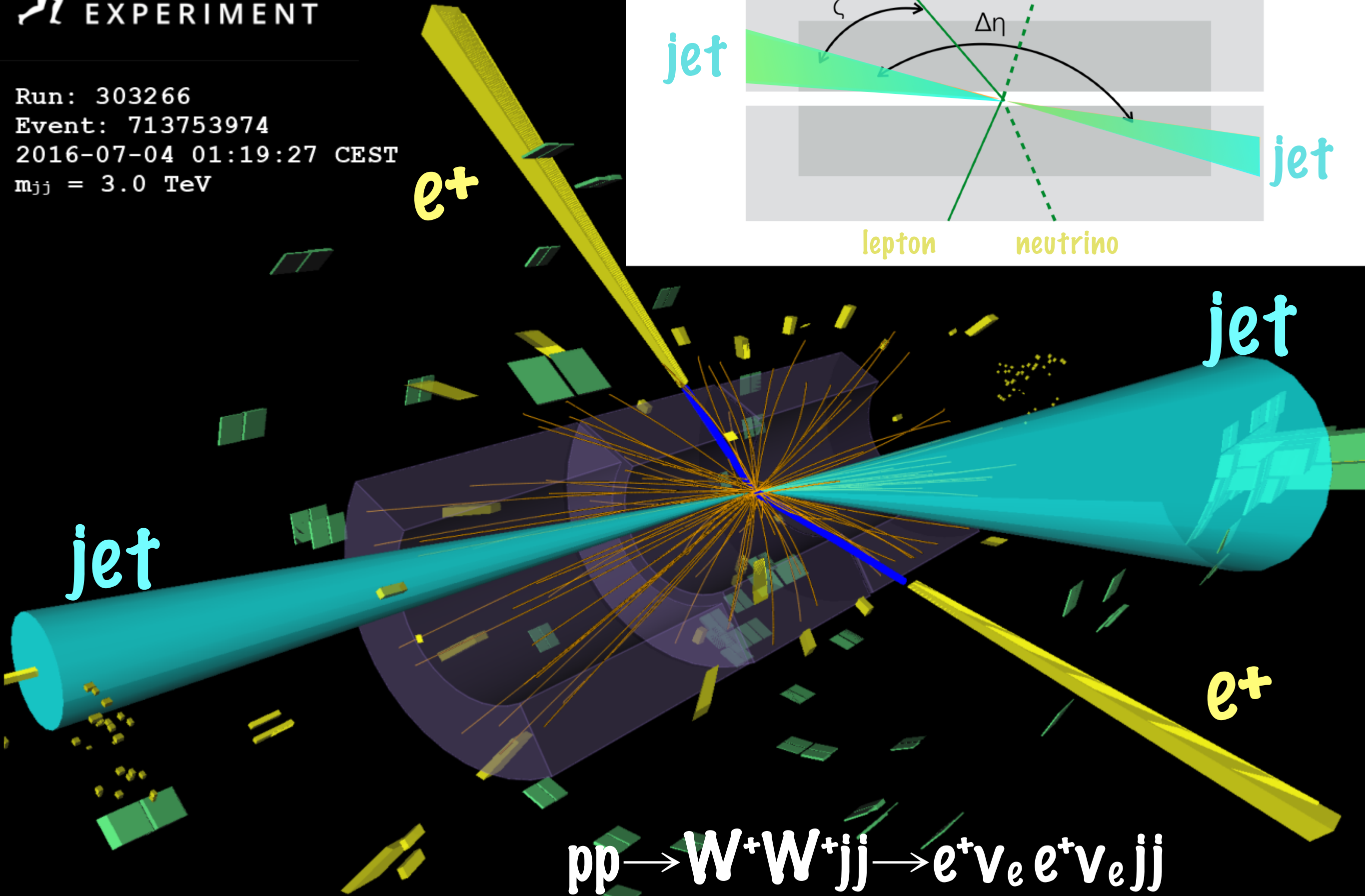
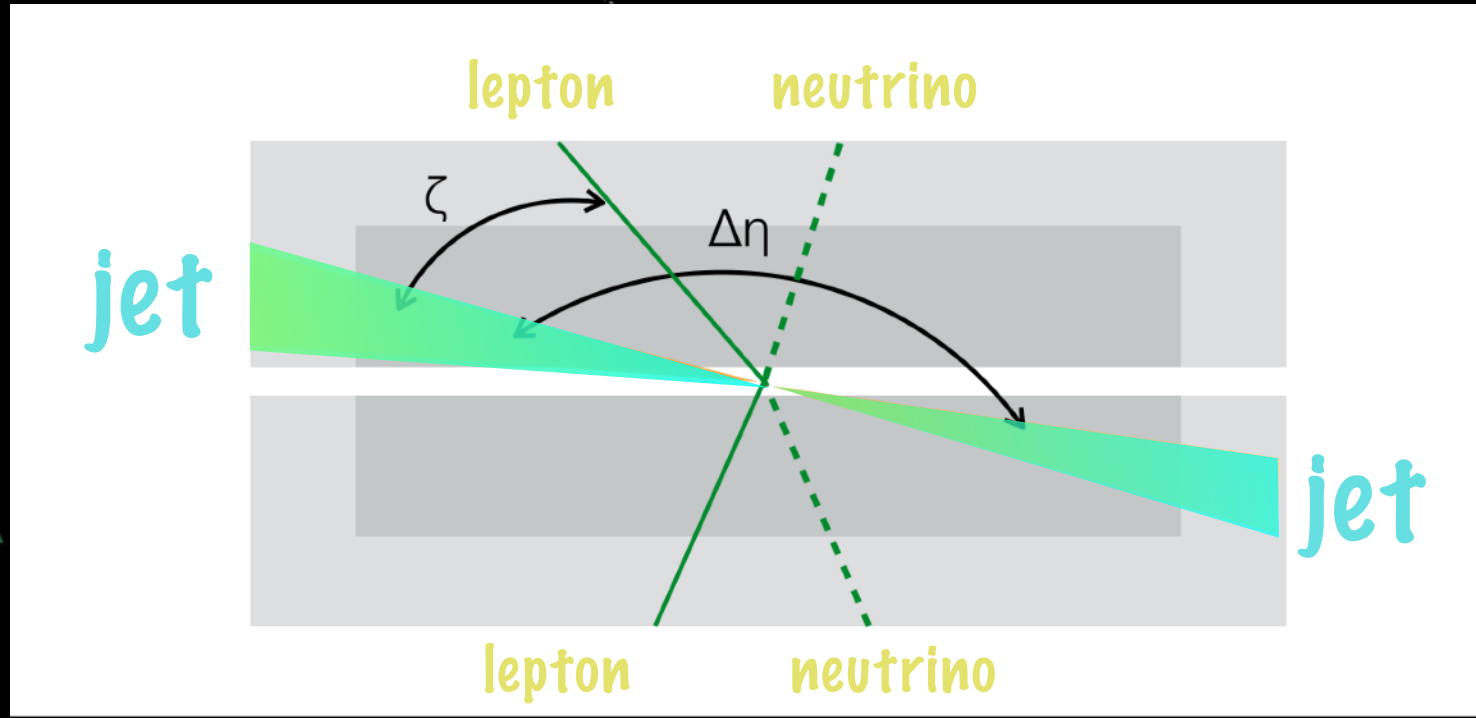
Event: 713753974

2016-07-04 01:19:27 CEST

$m_{jj} = 3.0 \text{ TeV}$



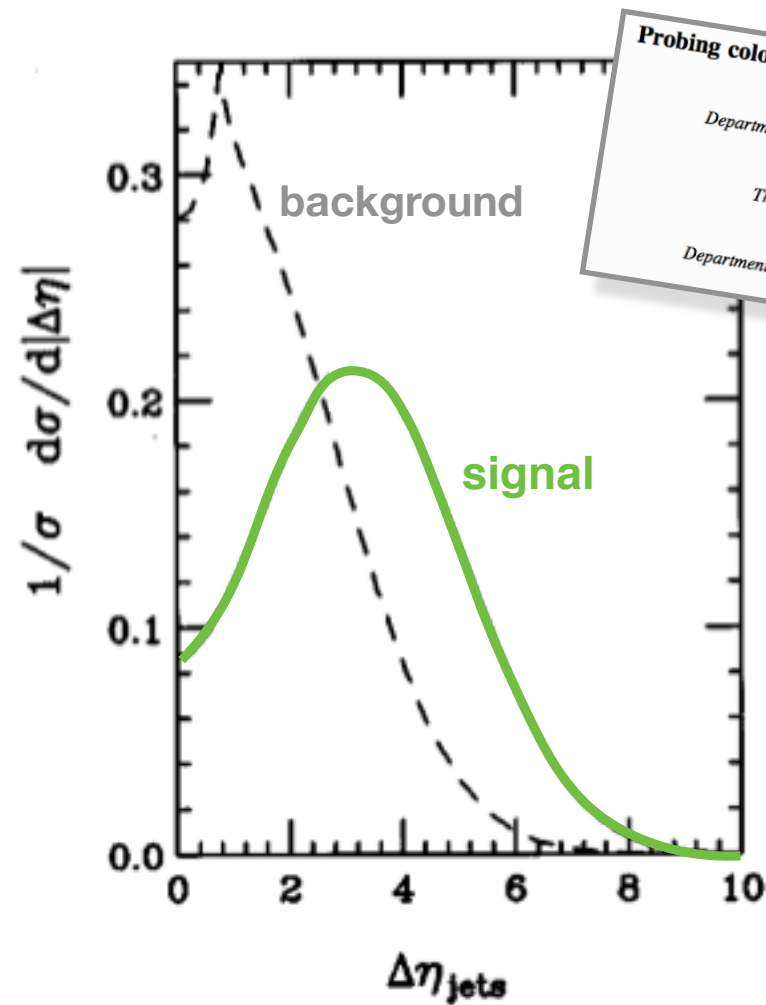
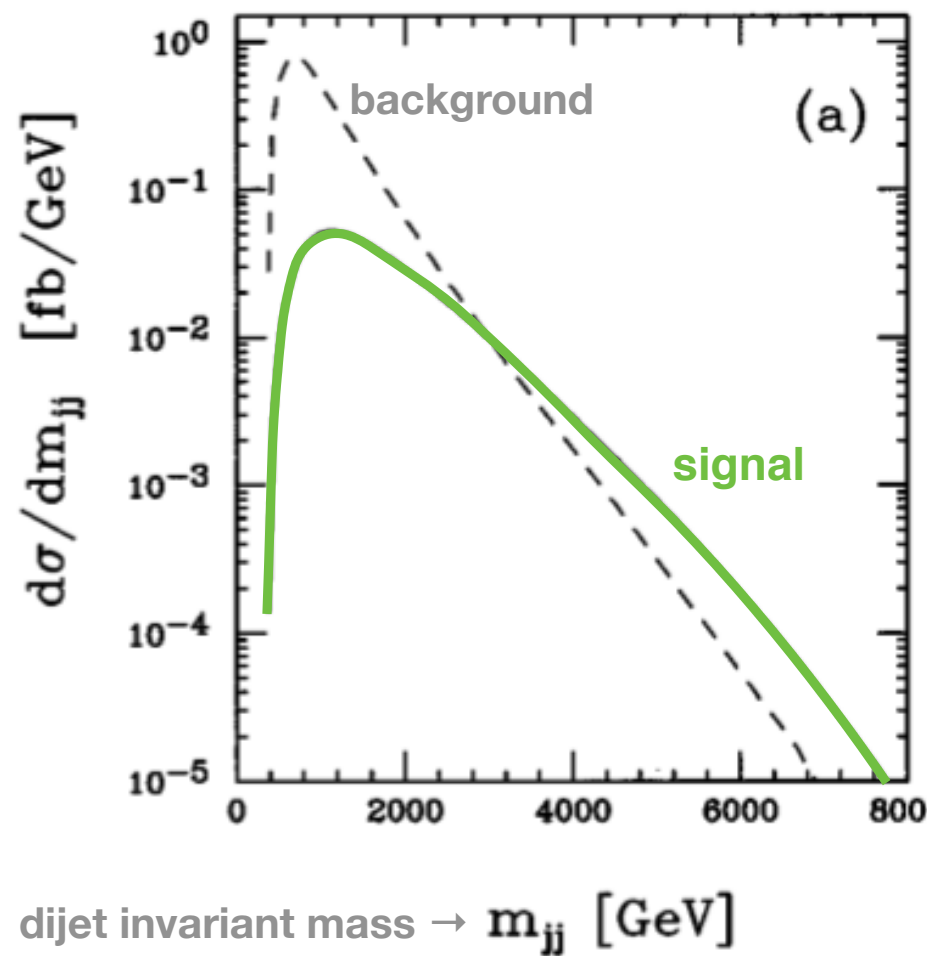
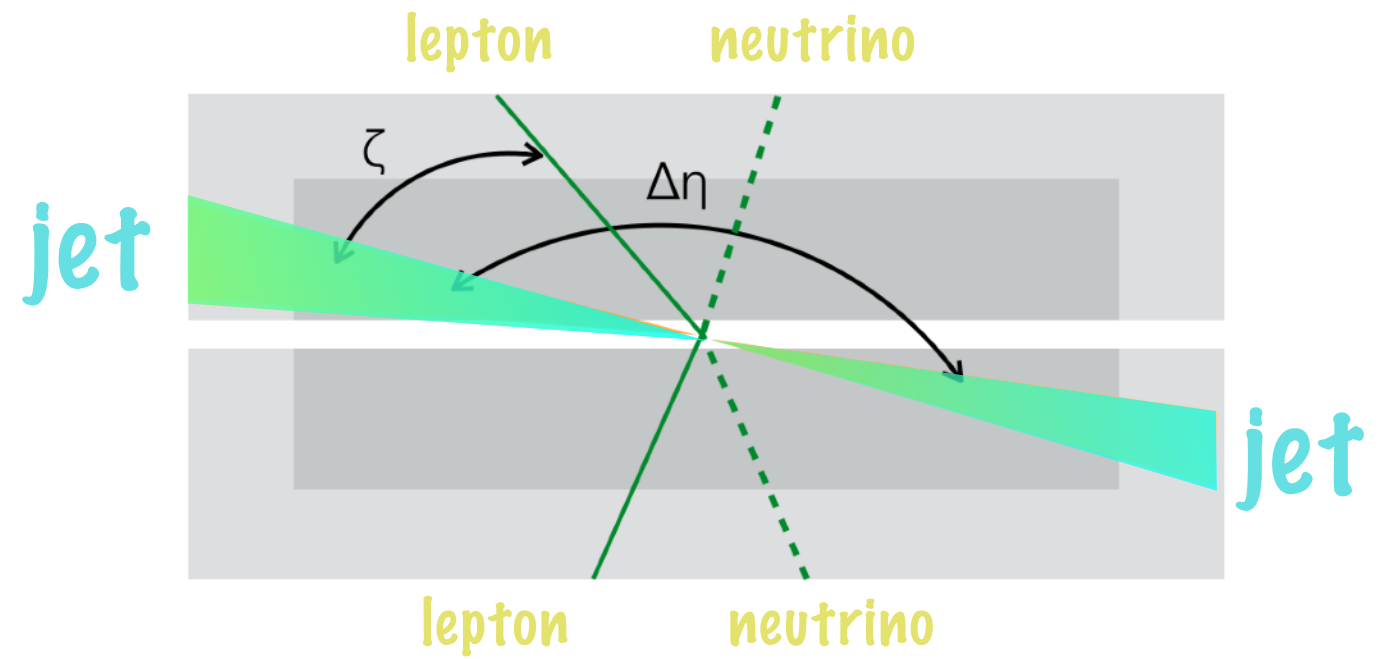
Run: 303266
Event: 713753974
2016-07-04 01:19:27 CEST
 $m_{jj} = 3.0 \text{ TeV}$



$$pp \rightarrow W^+ W^+ jj \rightarrow e^+ \nu_e e^+ \nu_e jj$$

The VBS topology

Theory calculations can provide us with differential cross sections



Probing color-singlet exchange in Z+2-jet events at the CERN LHC
 D. Rainwater
 Department of Physics, University of Wisconsin, Madison, Wisconsin 53706
 R. Szalapski
 Theory Group, KEK, 1-1 Oho, Tsukuba, Ibaraki 305, Japan
 D. Zeppenfeld
 Department of Physics, University of Wisconsin, Madison, Wisconsin 53706
 (Received 30 May 1996)

Knowing how the signal and backgrounds will look like allow us to push the discrimination (i.e using machine learning algorithms)

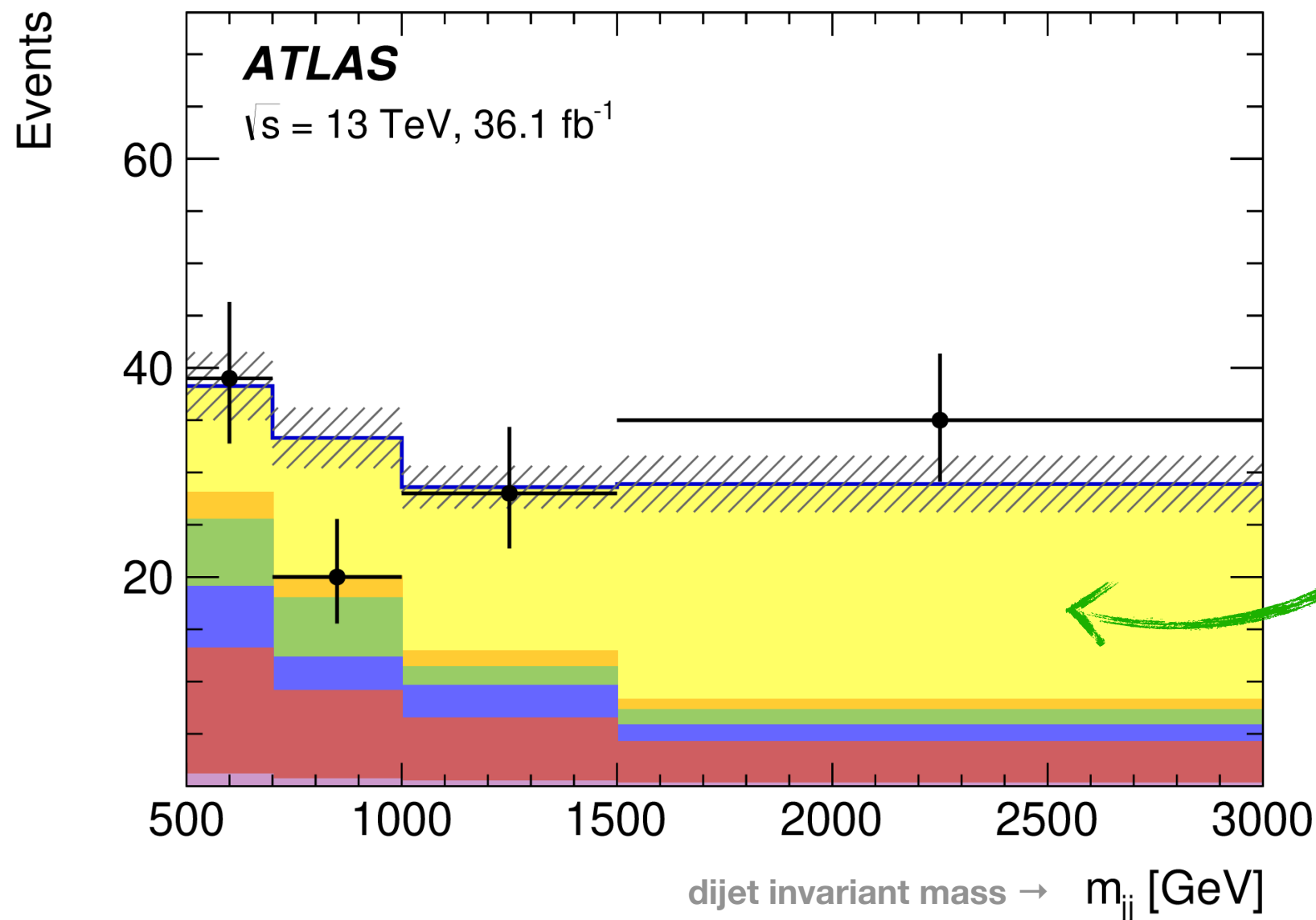
Experimental results

Same Charge $W^\pm W^\pm jj$

Signal

Background

- Data = 122 events
- $W^\pm W^\pm jj$ electroweak
- $W^\pm W^\pm jj$ strong
- Non-prompt
- e/ γ conversions
- WZ
- Other prompt
- ▨ Total uncertainty



Signal ~60 events

For the first time
Observation with 6.5σ !!

Experimental results

$W^\pm Z j j$

Signal

Background

● Data = 161 events

□ $W^\pm Z$ -EW

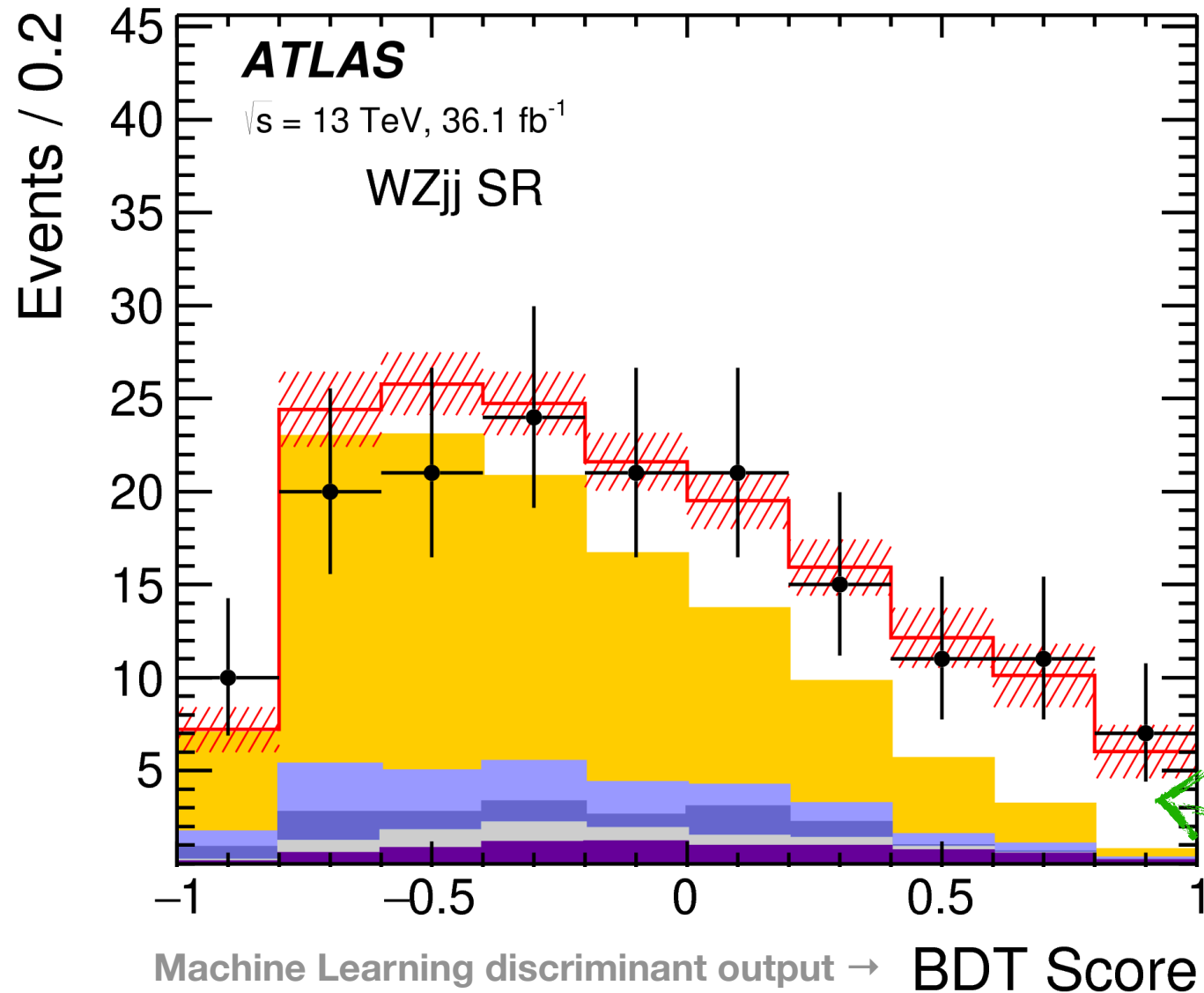
■ $W^\pm Z$ -QCD

■ ZZ

■ Misid. leptons

■ tt+V

■ tZj and VVV



Signal ~44 events

For the first time
Observation with 5.3σ !!

The cross sections measurements

Evidence 4.1σ !!

LHC pp $\sqrt{s} = 13$ TeV

LHC pp $\sqrt{s} = 8$ TeV

Data
stat
stat \oplus syst

Data
stat
stat \oplus syst

Theory

$Z\gamma jj$ EWK

$(WV+ZV)jj$ EWK

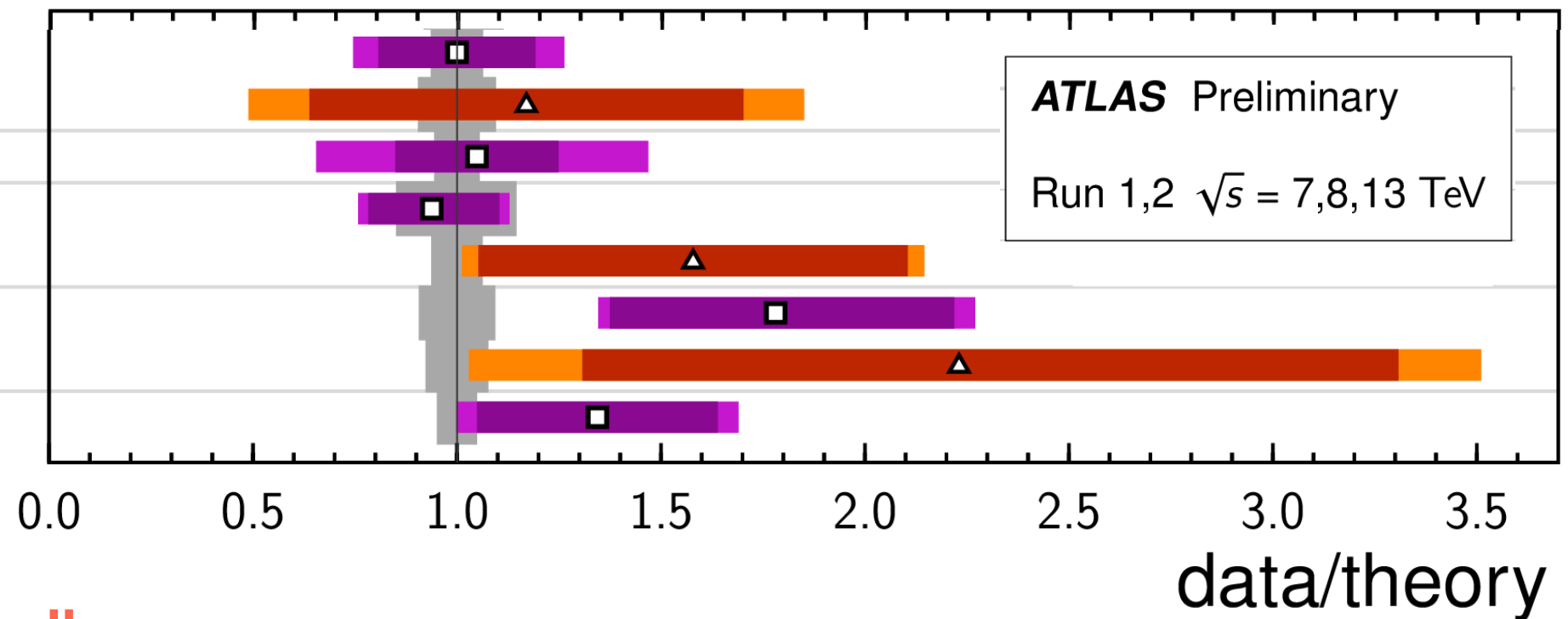
$W^\pm W^\pm jj$ EWK

$WZjj$ EWK

$ZZjj$ EWK

ATLAS Preliminary

Run 1,2 $\sqrt{s} = 7,8,13$ TeV



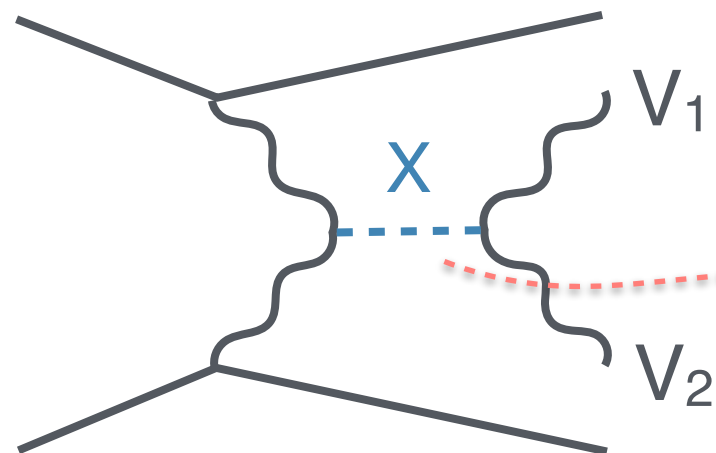
Observations $> 5\sigma$!!

First results still dominated by statistical uncertainty but the full Run-2 data is still being processed and Run-3 is approaching!

How to look for the unknown?

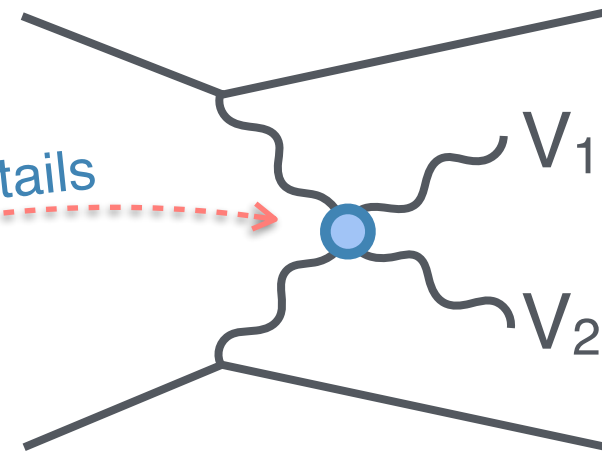
New physics in bumps and tails

Direct search approach
(model dependent)

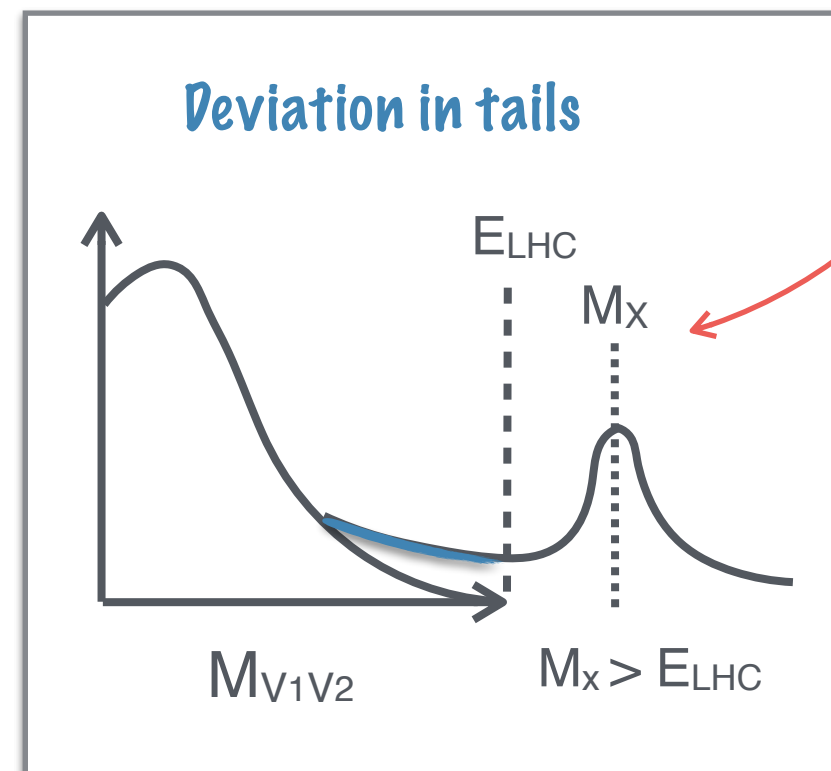
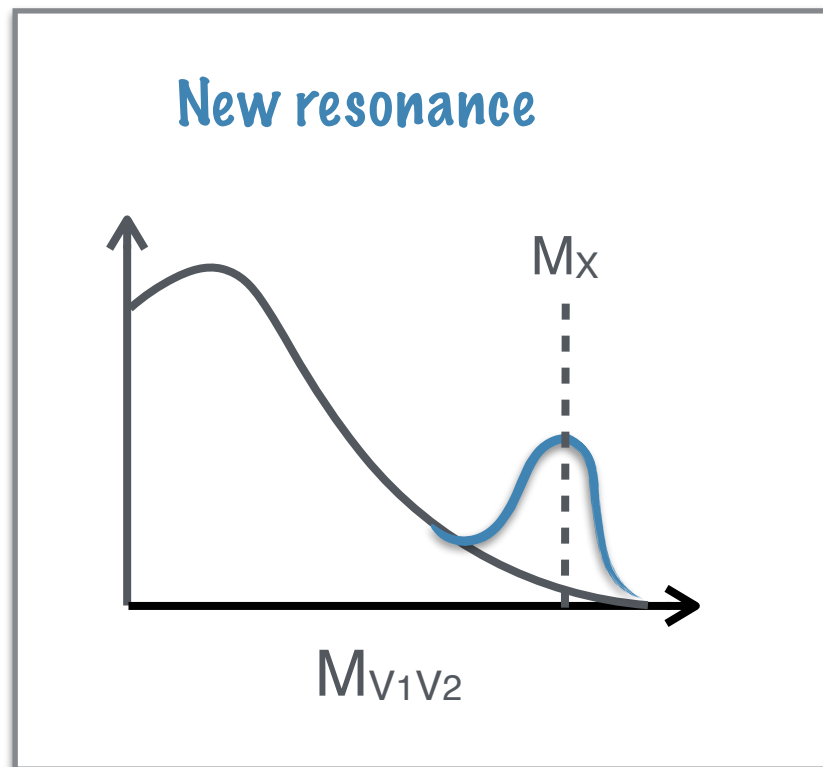


If $M_X > E_{LHC}$,
new interaction in tails

Indirect search approach
(model independent)

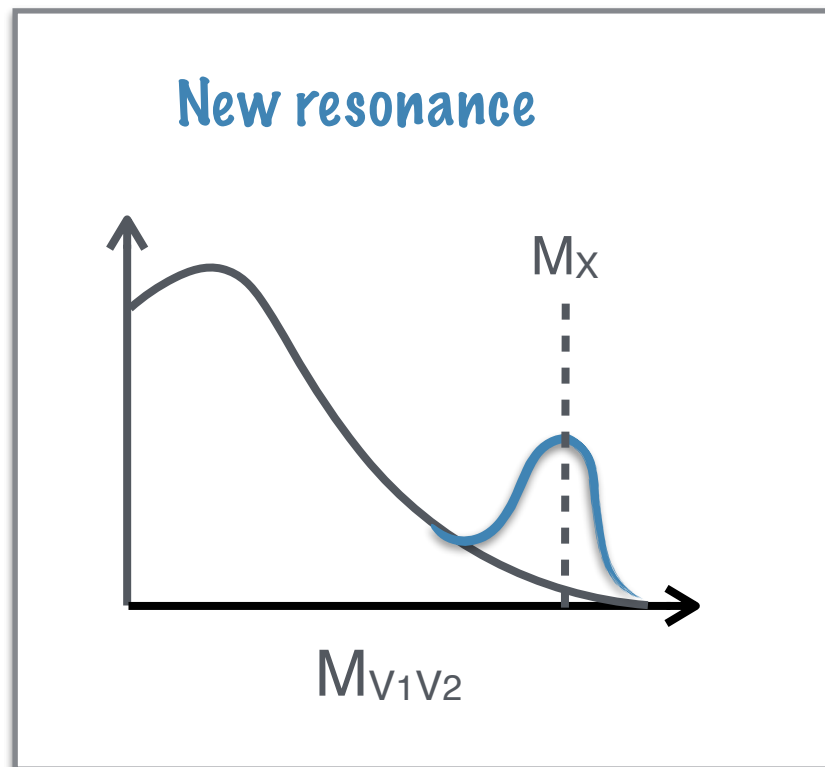
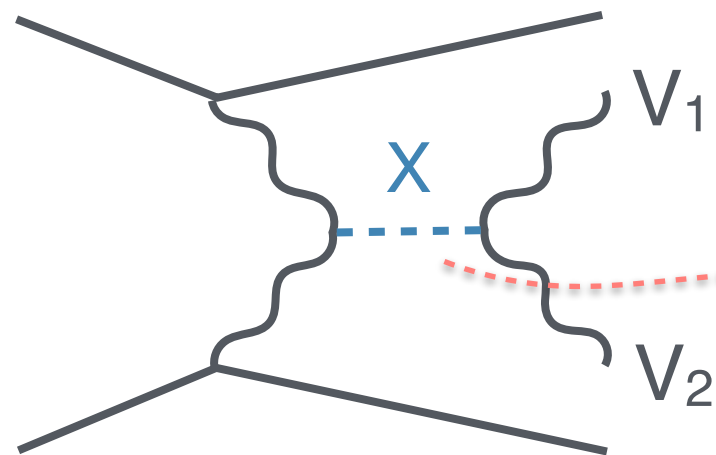


New physics may
be (just) beyond
our reach

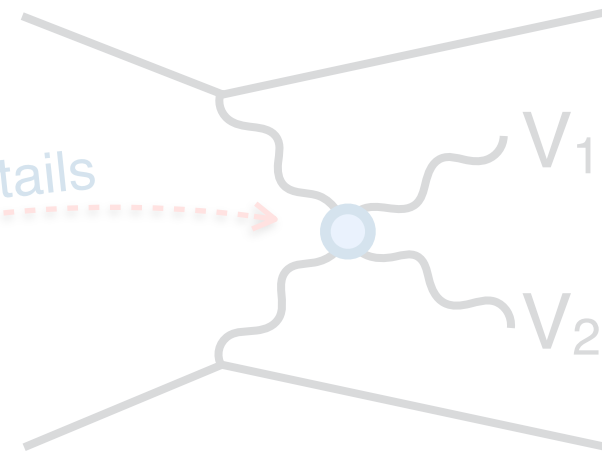


New physics in bumps and tails

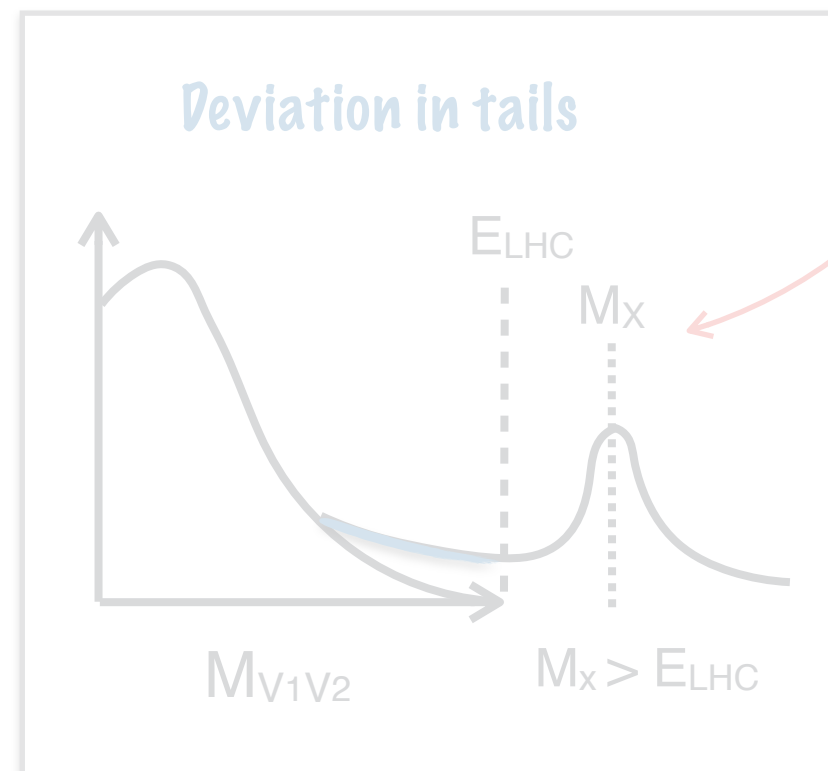
Direct search approach
(model dependent)



Indirect search approach
(model independent)



$M_X > E_{LHC}$,
new interaction in tails

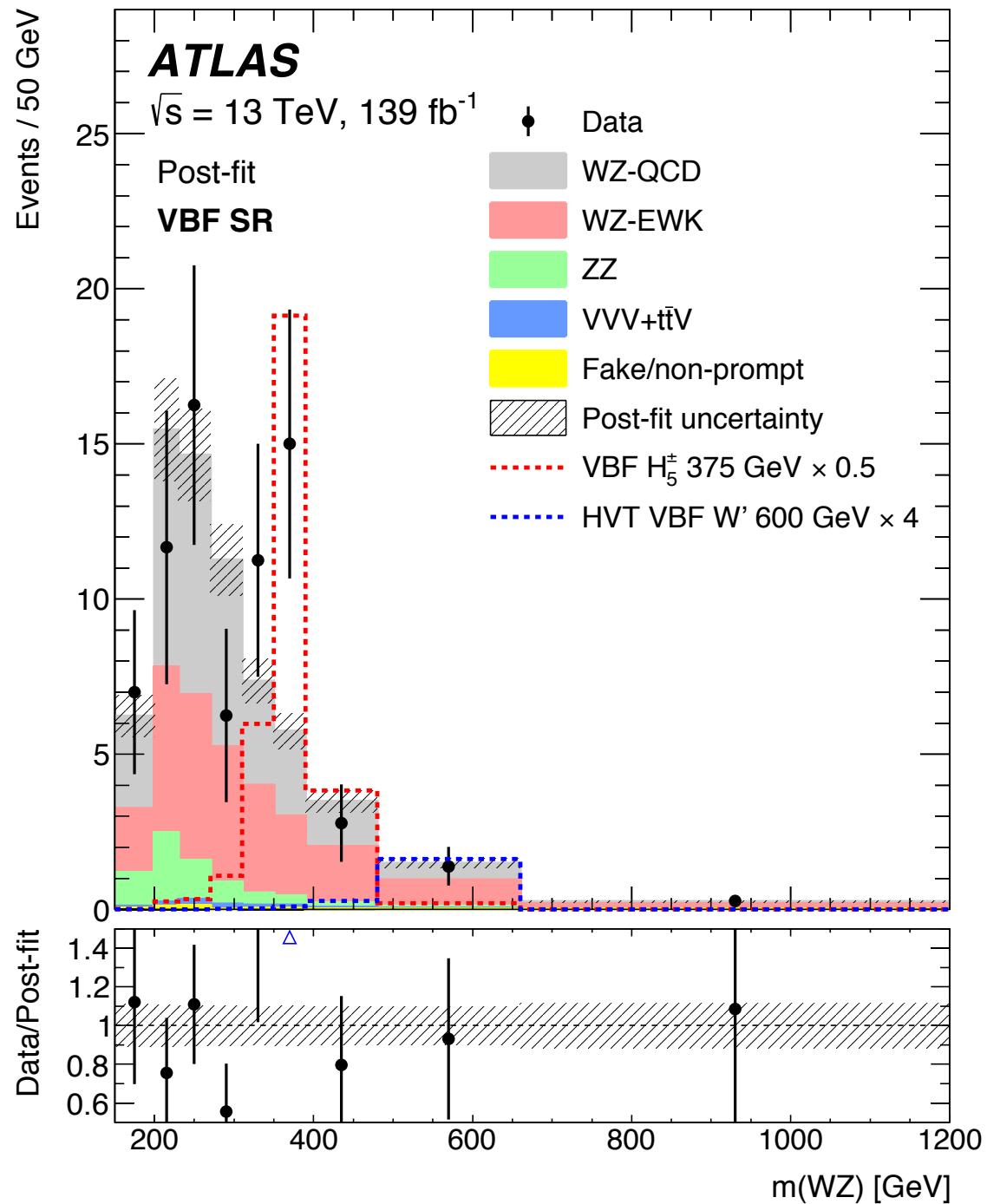


New physics may
be (just) beyond
our reach

Looking for resonances

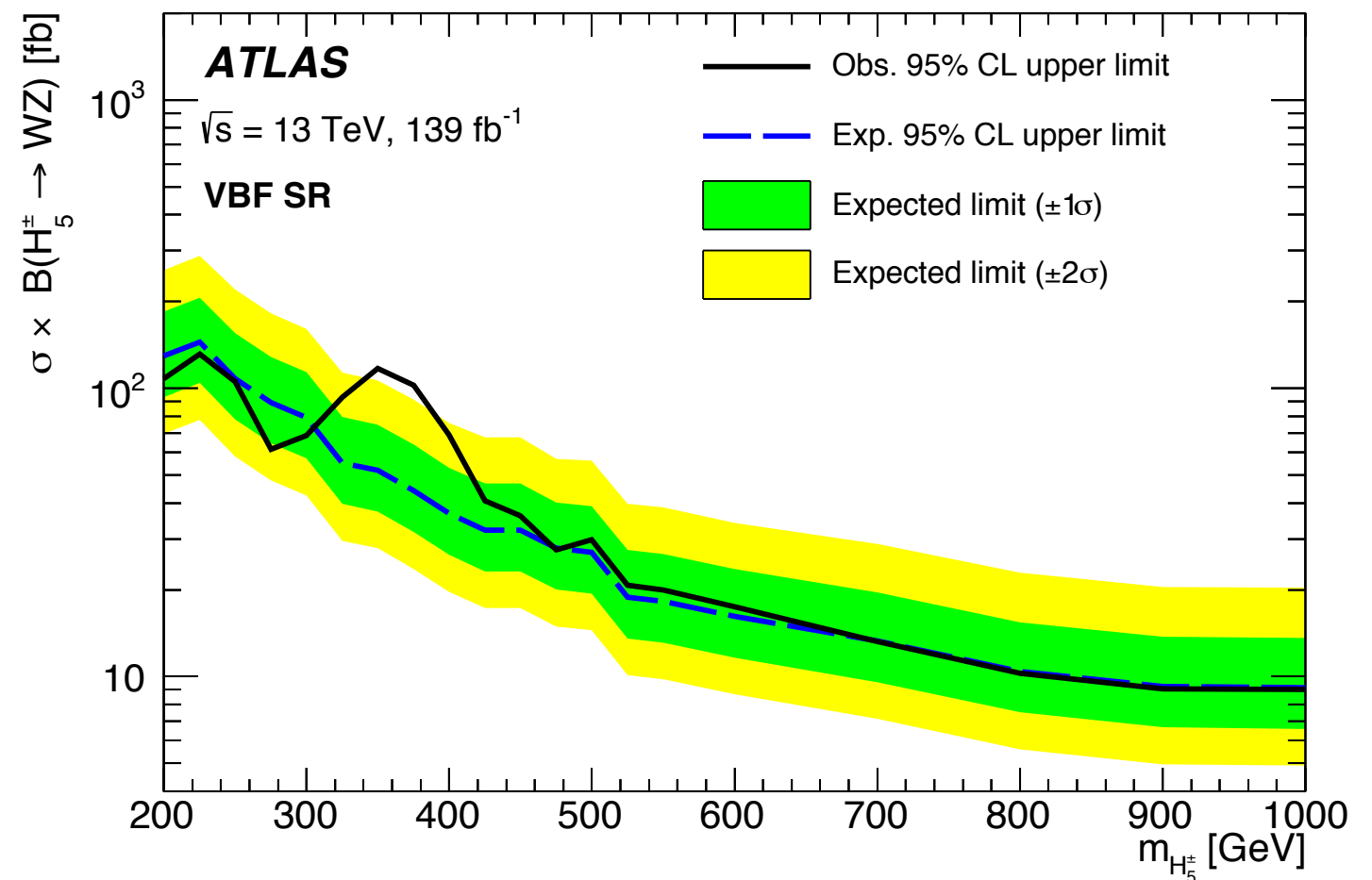
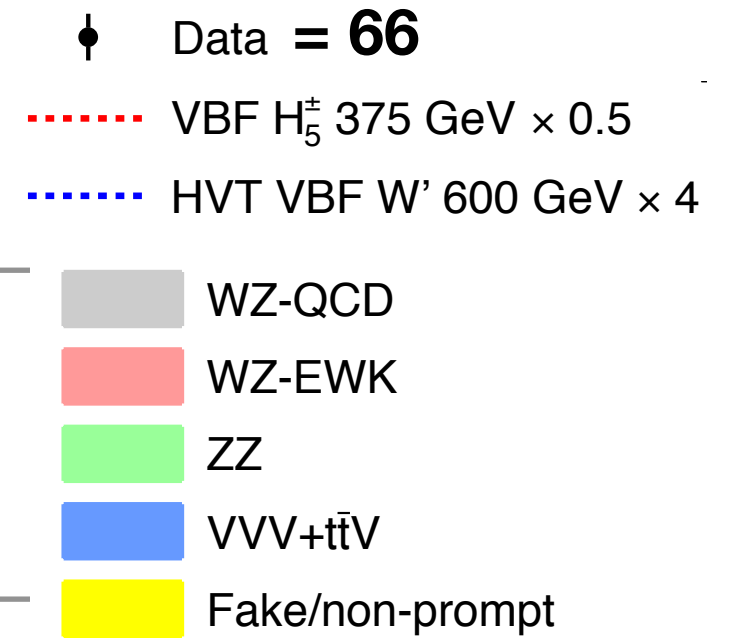
$$pp \rightarrow H^\pm jj \rightarrow W^\pm Z jj$$

The benchmark: The Georgi-Machacek model predicts a charged Higgs boson



Signal

SM Background

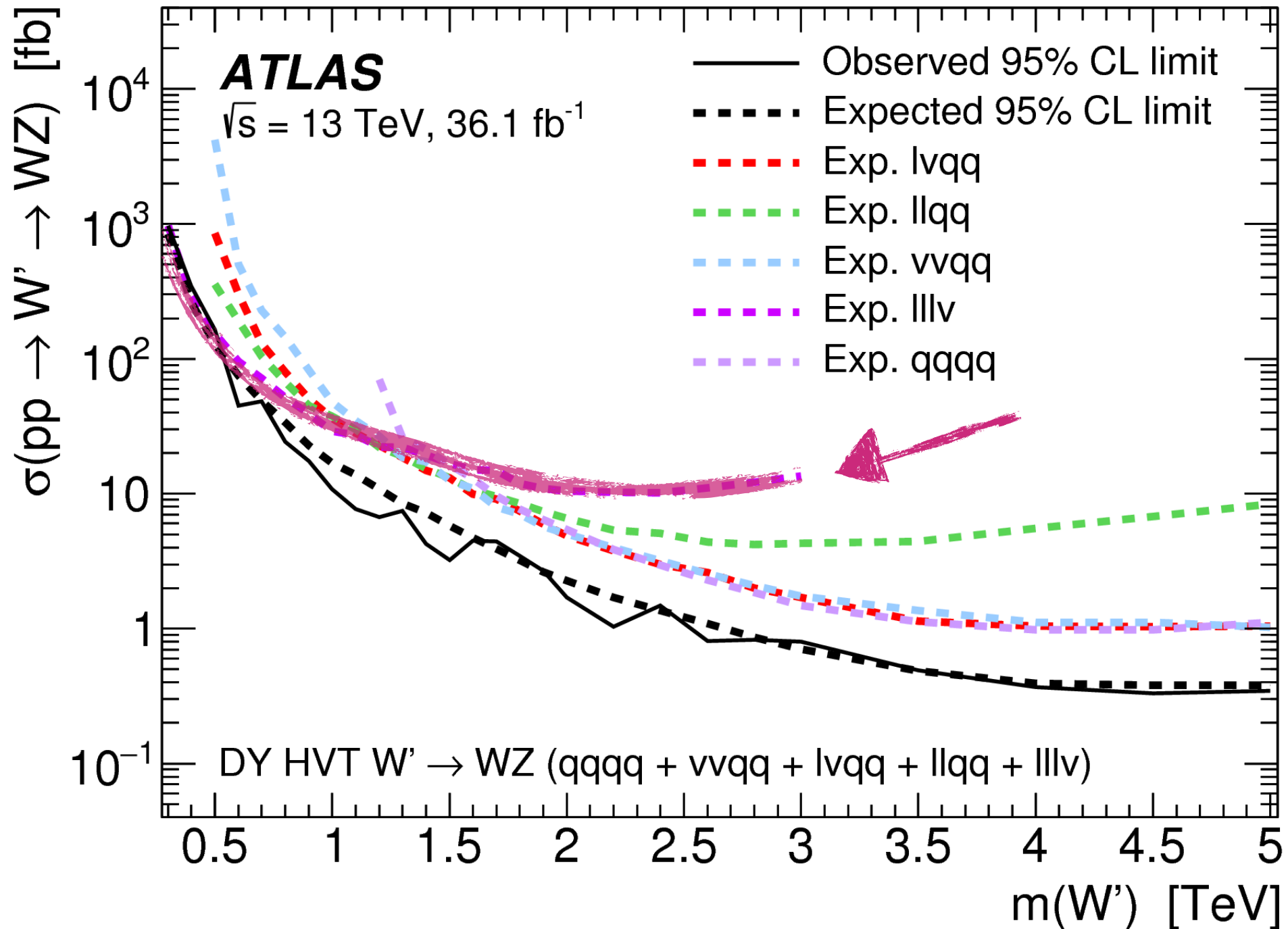


Observed limit: compare data to models
 Expected limit: compare background only to models

Combined search for resonances

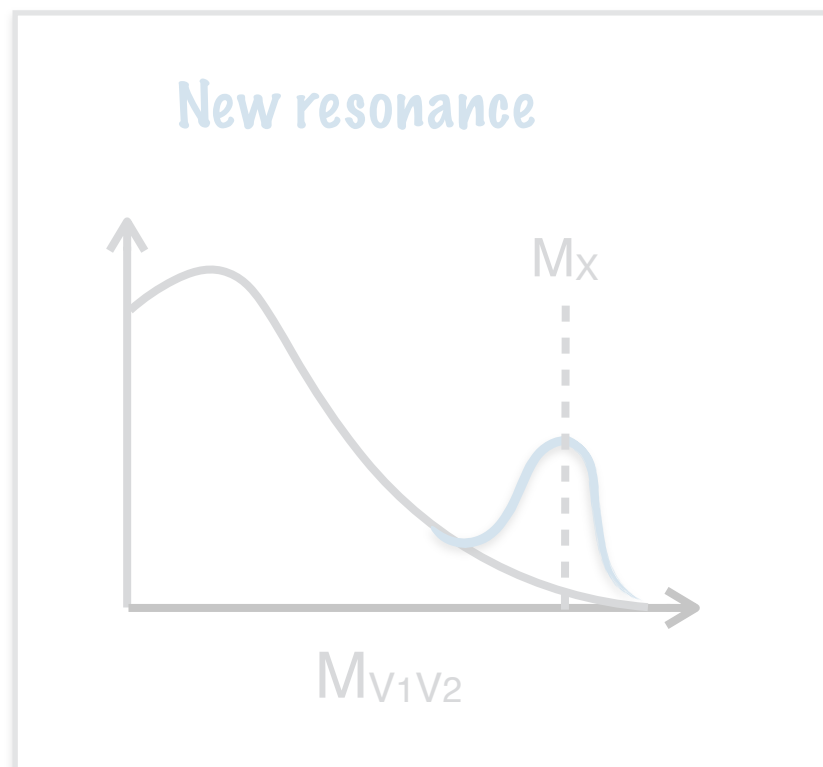
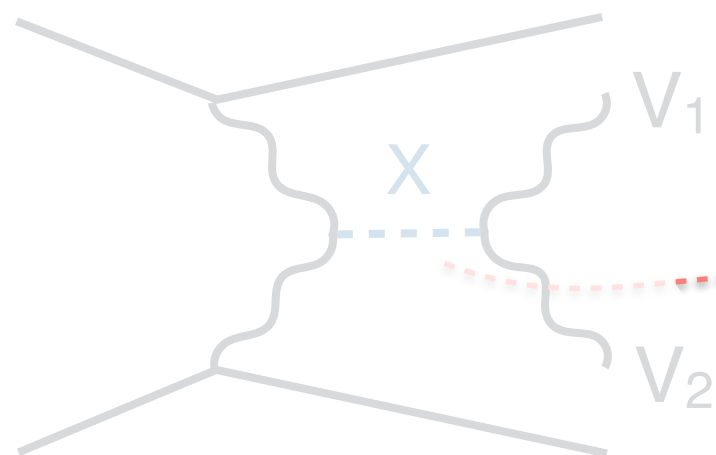
$$pp \rightarrow W'^{\pm} \rightarrow W^{\pm}Z$$

The benchmark: The Heavy Vector Triplet Lagrangian parametrization that predicts a W'

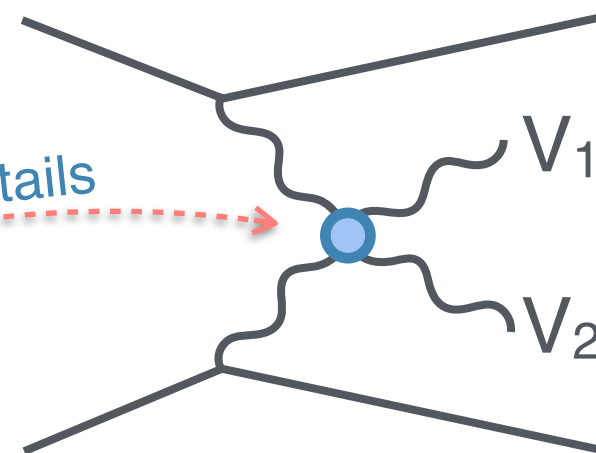


New physics in bumps and tails

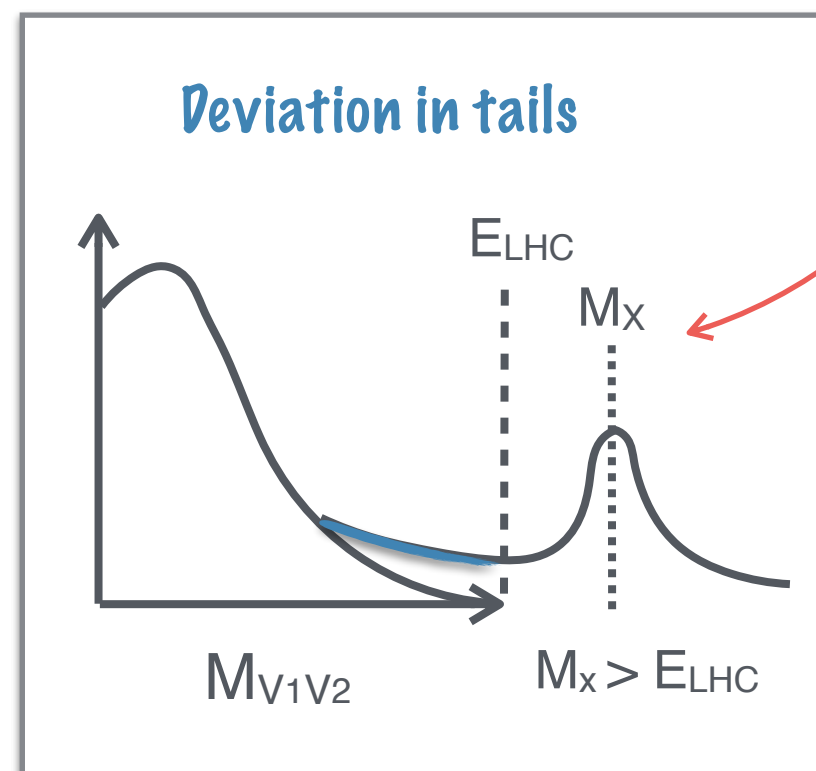
Direct search approach
(model dependent)



Indirect search approach
(model independent)



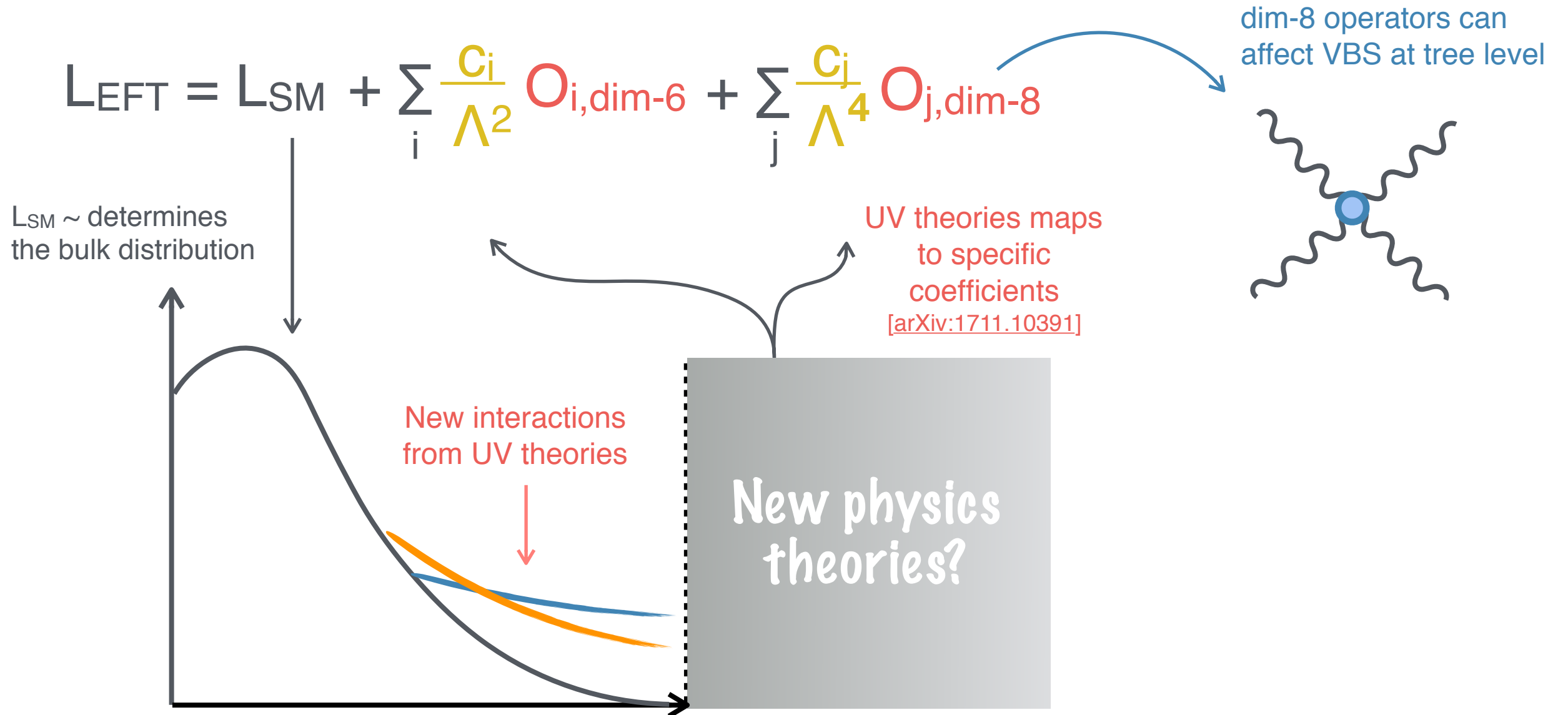
If $M_X > E_{LHC}$,
new interaction in tails



New physics may
be (just) beyond
our reach

The SM Effective Field Theory

- Deviations are parametrized by higher order operators from SM fields



- EFT are model independent and self consistent framework for parametrizing deviations from the SM

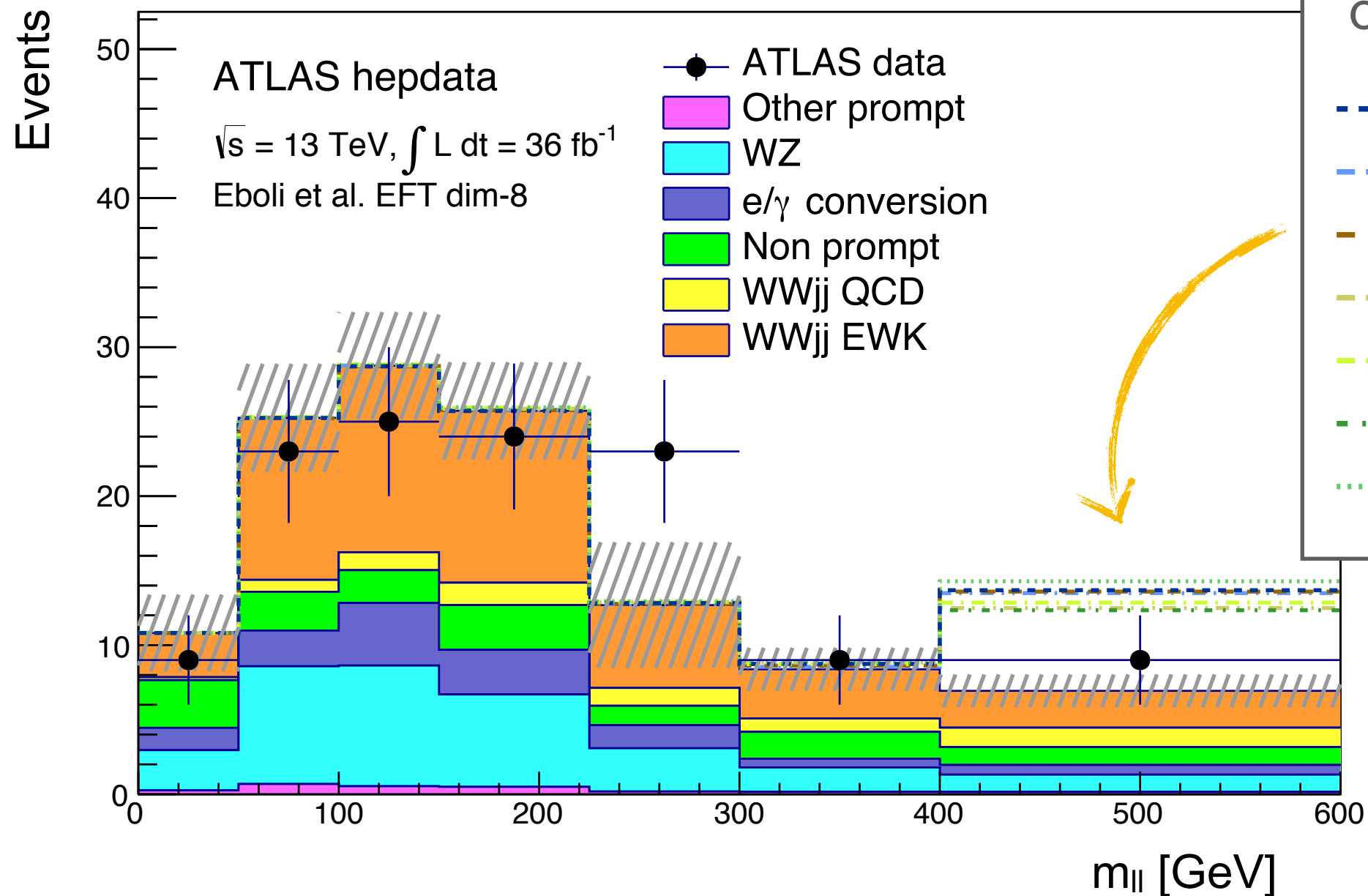
The SM Effective Field Theory

Same Charge $W^\pm W^\pm jj$

BSM interactions
of SM particles

$$L_{\text{LEFT}} = L_{\text{SM}} + F_{T2} O_{T2}$$

Coefficient



Coefficient values

- S02 = 15 TeV^{-4}
- .- T0 = 1.0 TeV^{-4}
- - T1 = 0.5 TeV^{-4}
- . T2 = 1.5 TeV^{-4}
- . M0 = 10 TeV^{-4}
- . M1 = 15 TeV^{-4}
- ... M7 = 25 TeV^{-4}

Other channels affected by the same operators, huge possible gain by combination!

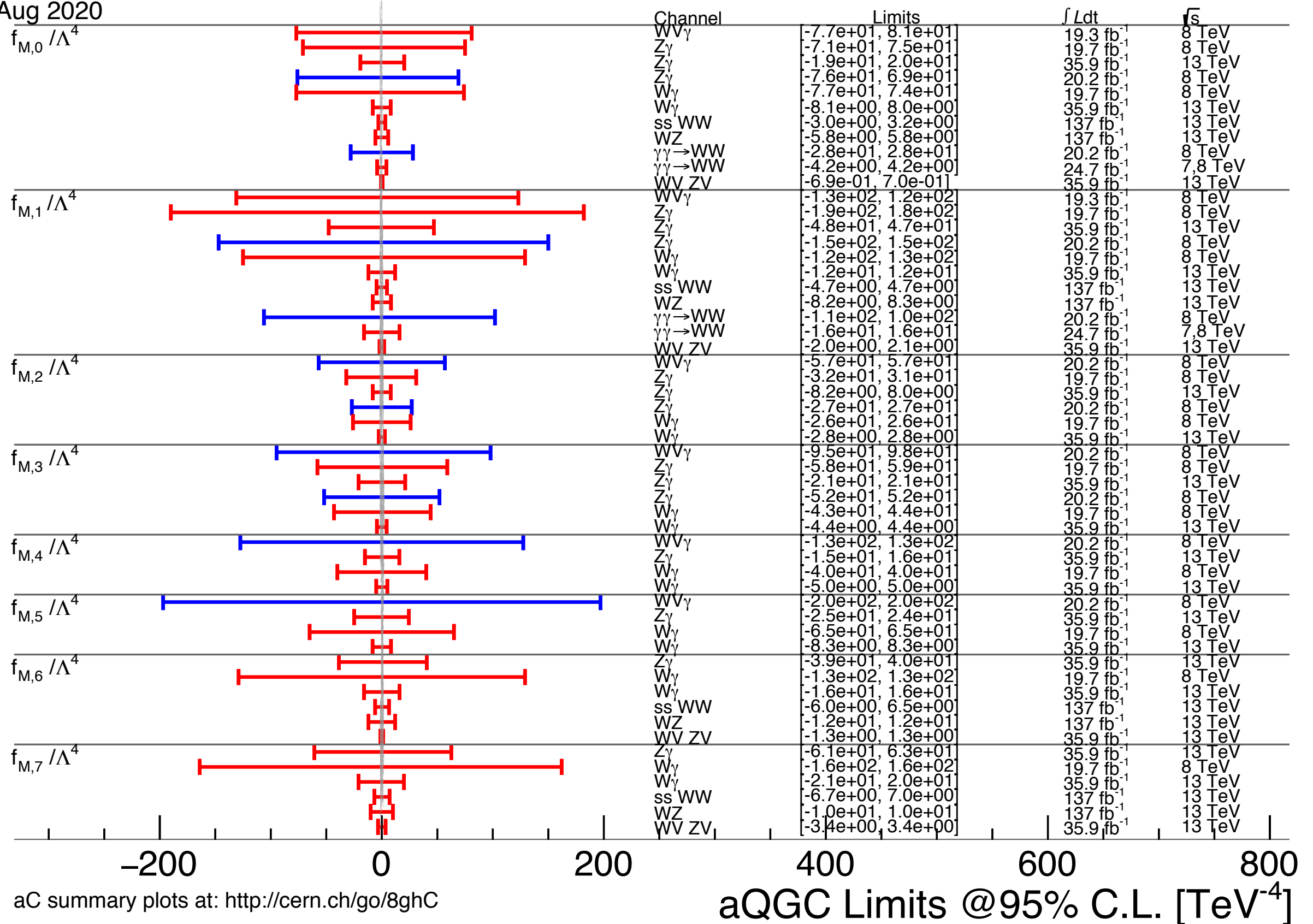
The SM Effective Field Theory

CMS
ATLAS



Aug 2020

SM



aC summary plots at: <http://cern.ch/go/8ghC>

aQGC Limits @95% C.L. [TeV^{-4}]

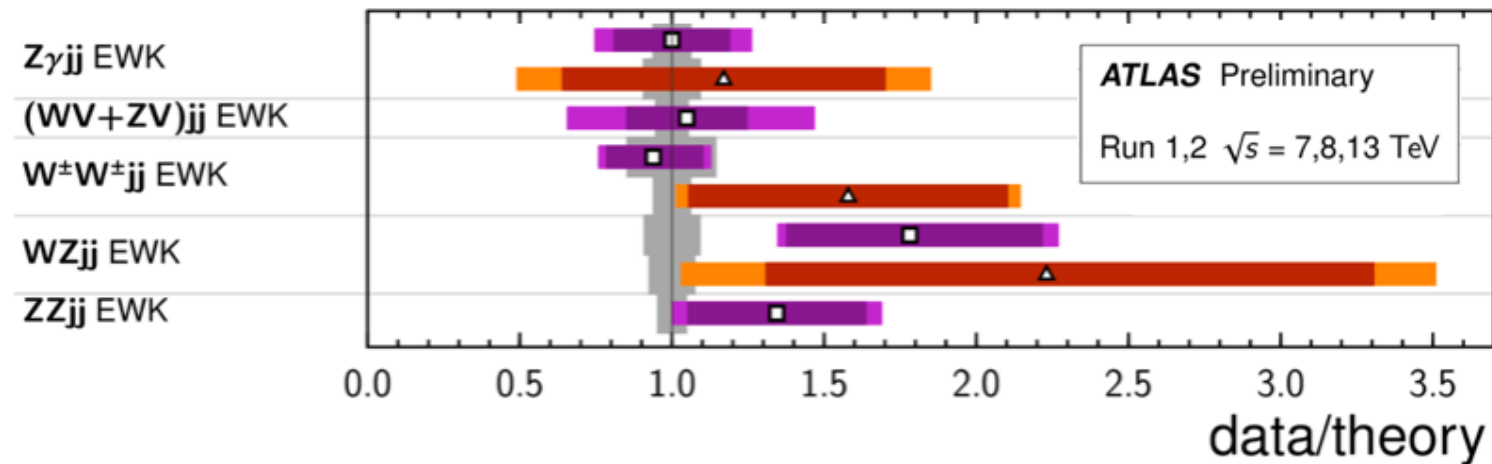
Take away

know know

things we know we know

The Standard Model stands strong!

- We have observed one of the most rare processes predicted by the SM!



- We can push harder by looking at polarized vector bosons self interactions

unknown unknown

things we don't know we don't know

We are actively looking for them, nothing so far but there is still room for **Surprises!**