

Emulating the small scales clustering

(Using Gaussian process)

Tyann Dumerchat

Abacus Summit

N-body simulations

- Base : 6912 particles in 2 Gpcs/h (95 cosmologies, 8 parameters)
- 2000 Small : 1728 in 0.5 Gpcs/h (Planck cosmology)
- Cubic boxes
- Correlation function monopole (no RSD)
- $Z = 0.1$
- 1800 LRG like HOD + assembly bias (9 parameters)

Gaussian process regression

(Fast recap)

$$D = \{(\mathbf{x}_i, y_i) \mid i = 1, \dots, n\} \quad y = f(\mathbf{x}) + \epsilon$$

$$p(f^* \mid x^*, y, X) \sim \mathcal{N}(m(x^*) + K(x^*, X) \left(K(X, X) + \sigma_n^2 I \right)^{-1} (y - m(X)),$$

$$K(x^*, x^*) - K(x^*, X) \left(K(X, X) + \sigma_n^2 I \right)^{-1} K(X, x^*))$$

Gaussian process regression

(Fast recap)

$$D = \{(\mathbf{x}_i, y_i) \mid i = 1, \dots, n\} \quad y = f(\mathbf{x}) + \epsilon$$

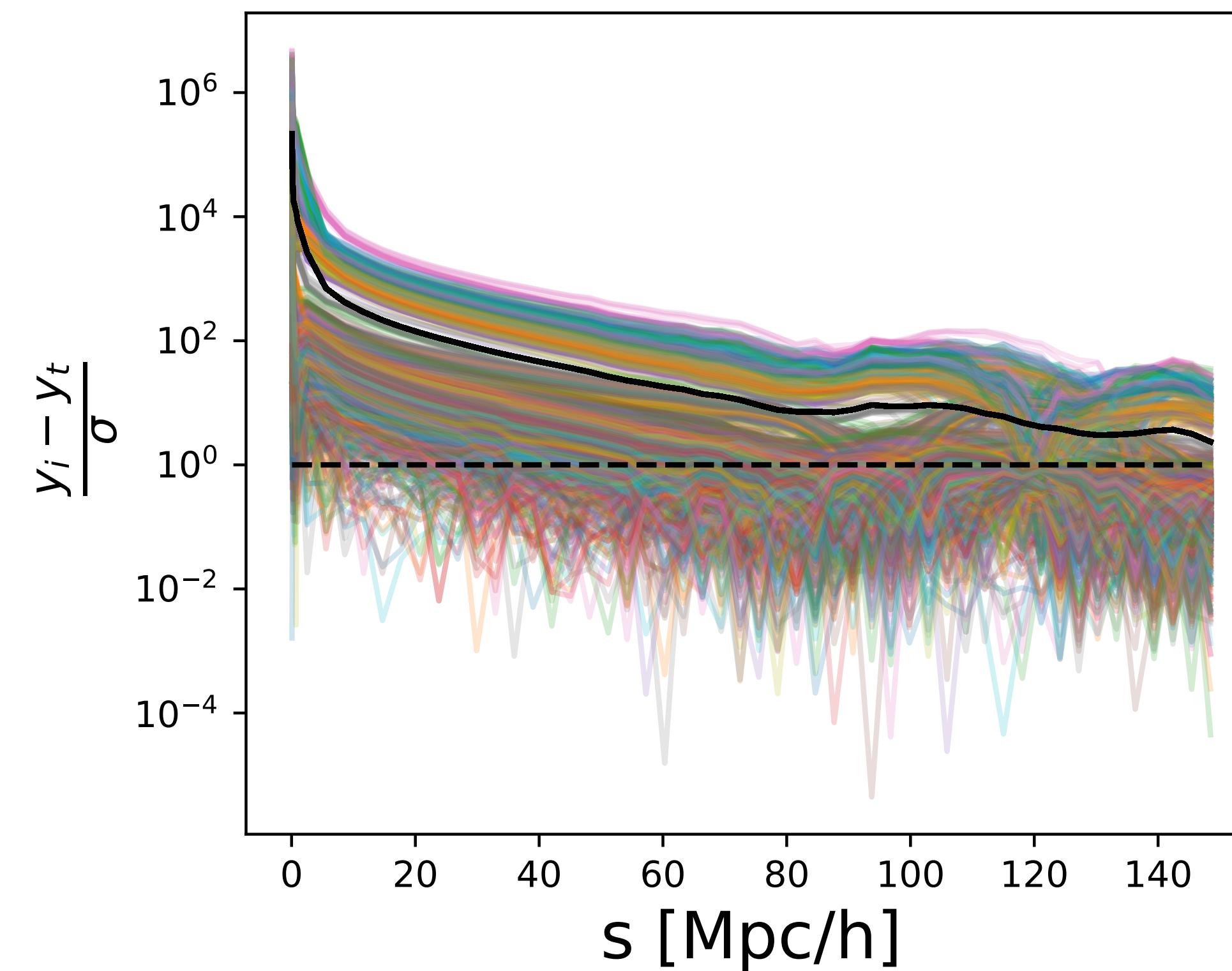
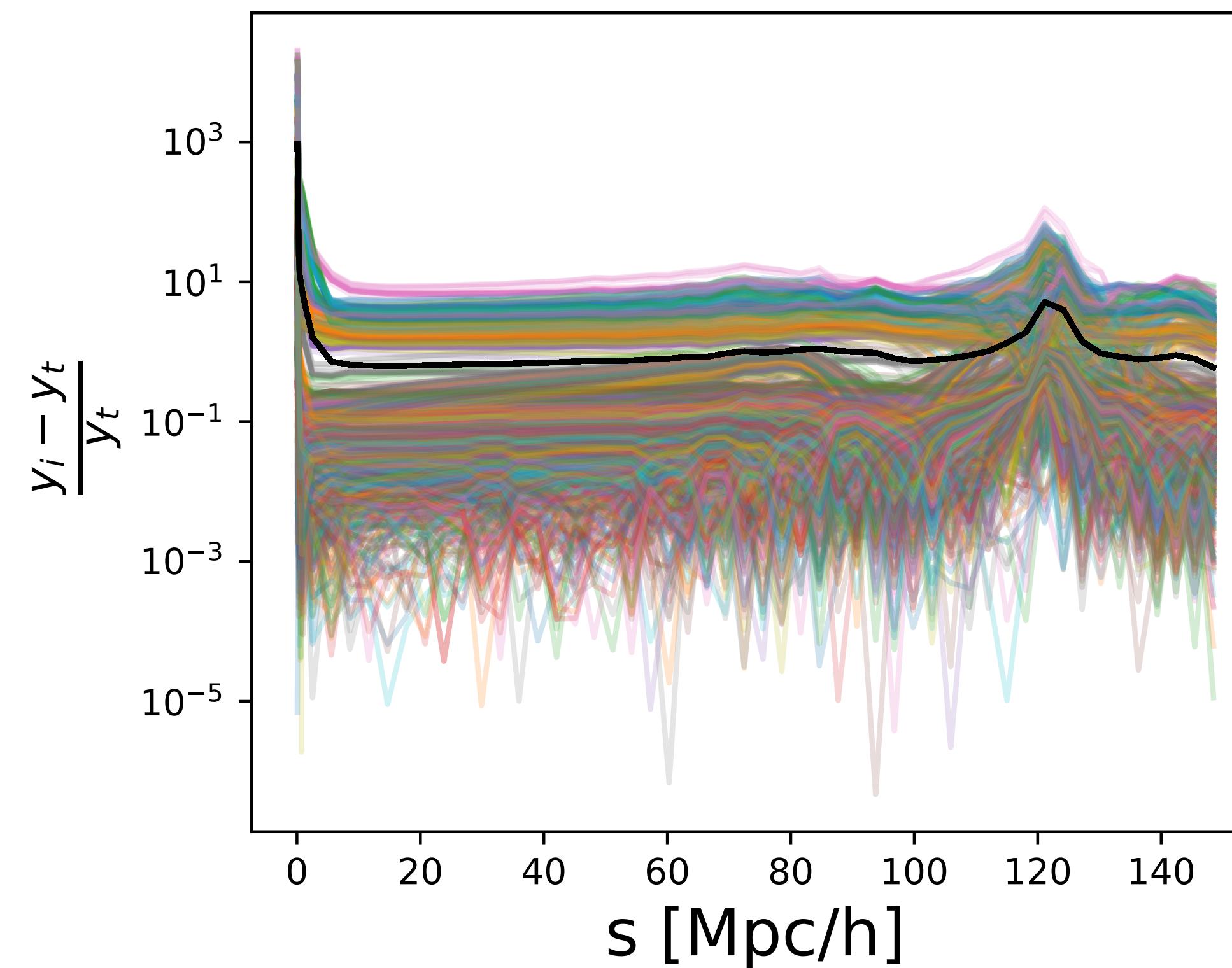
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$$K(x^*, x^*) - K(x^*, X) (K(X, X) + \sigma_n^2 I)^{-1} K(X, x^*))$$

$$\Omega = \Omega_{cosmo} \otimes \Omega_{hod} \otimes \Omega_{scales}$$

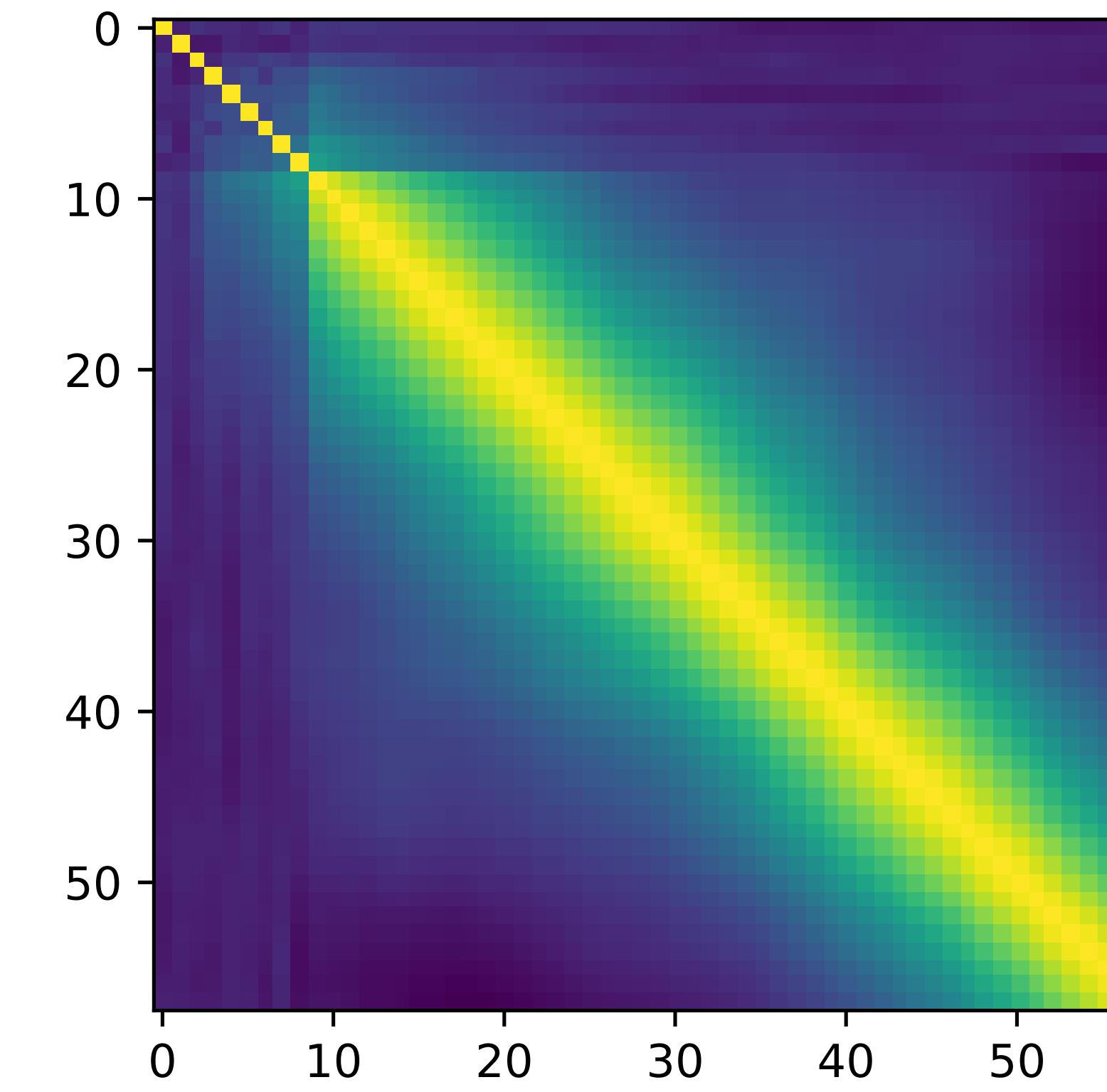
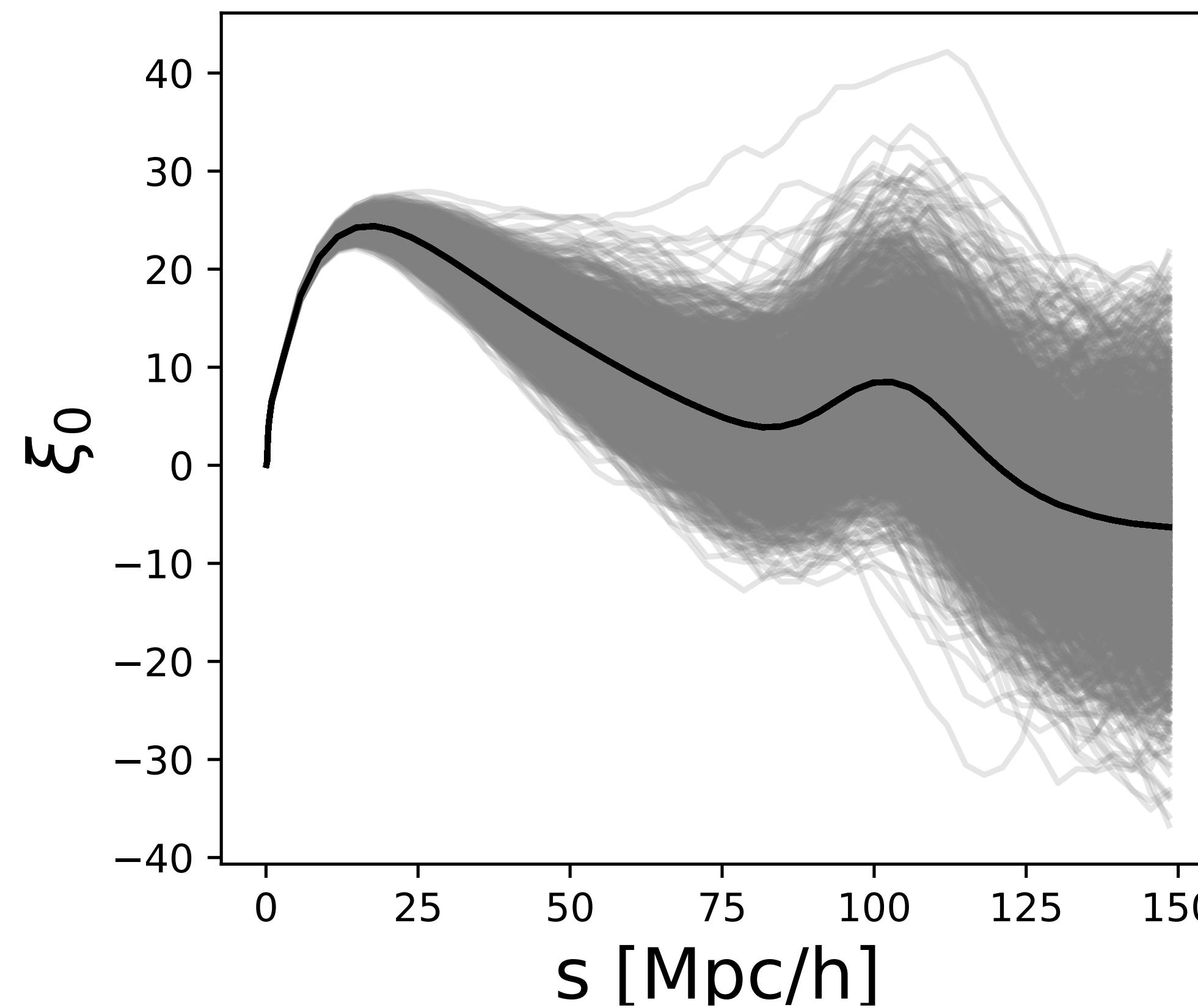
$$K = K_{cosmo} \otimes K_{hod} \otimes K_{scales}$$

Dataset : 9M points

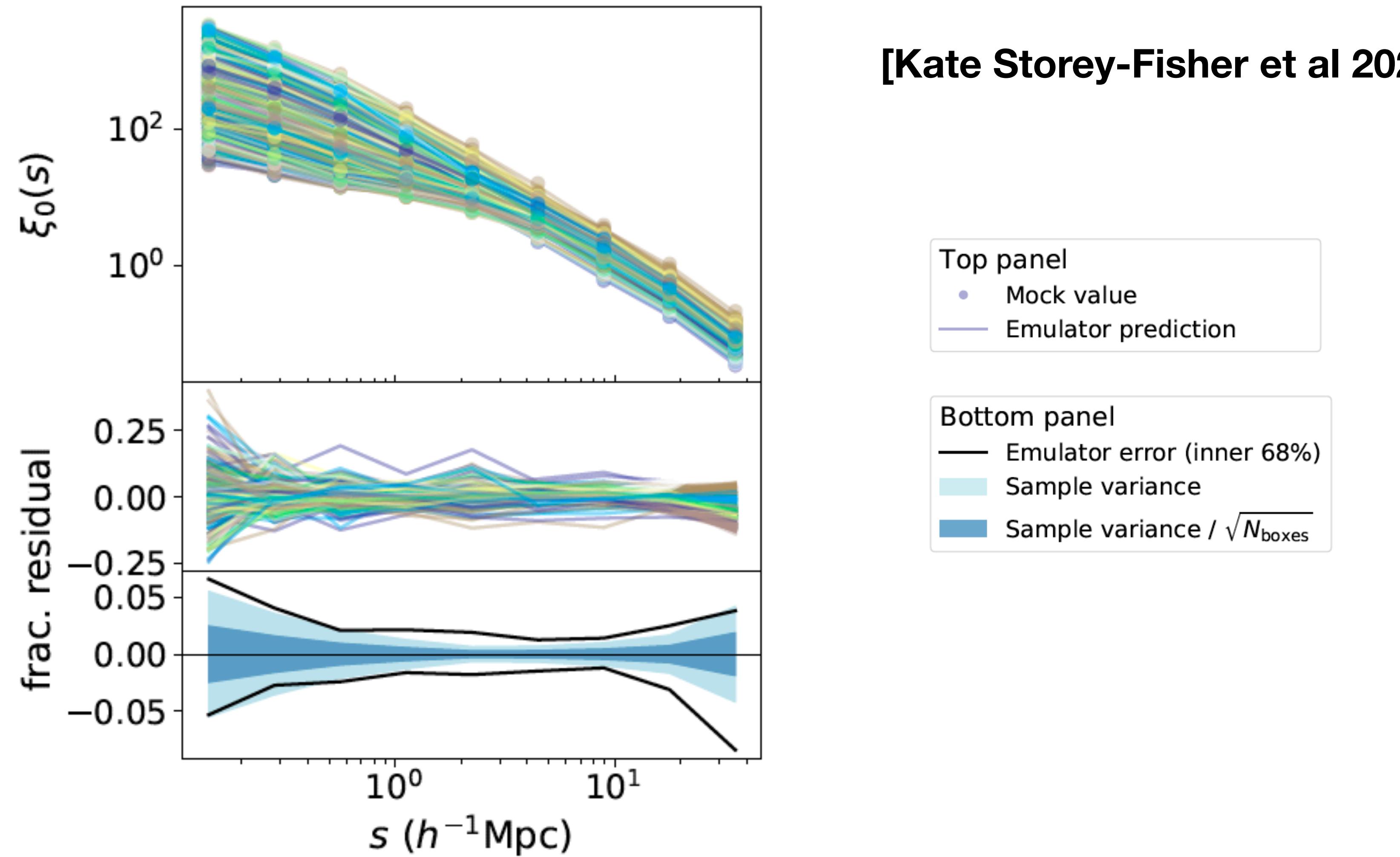
(Visualisation of 1% of the points)



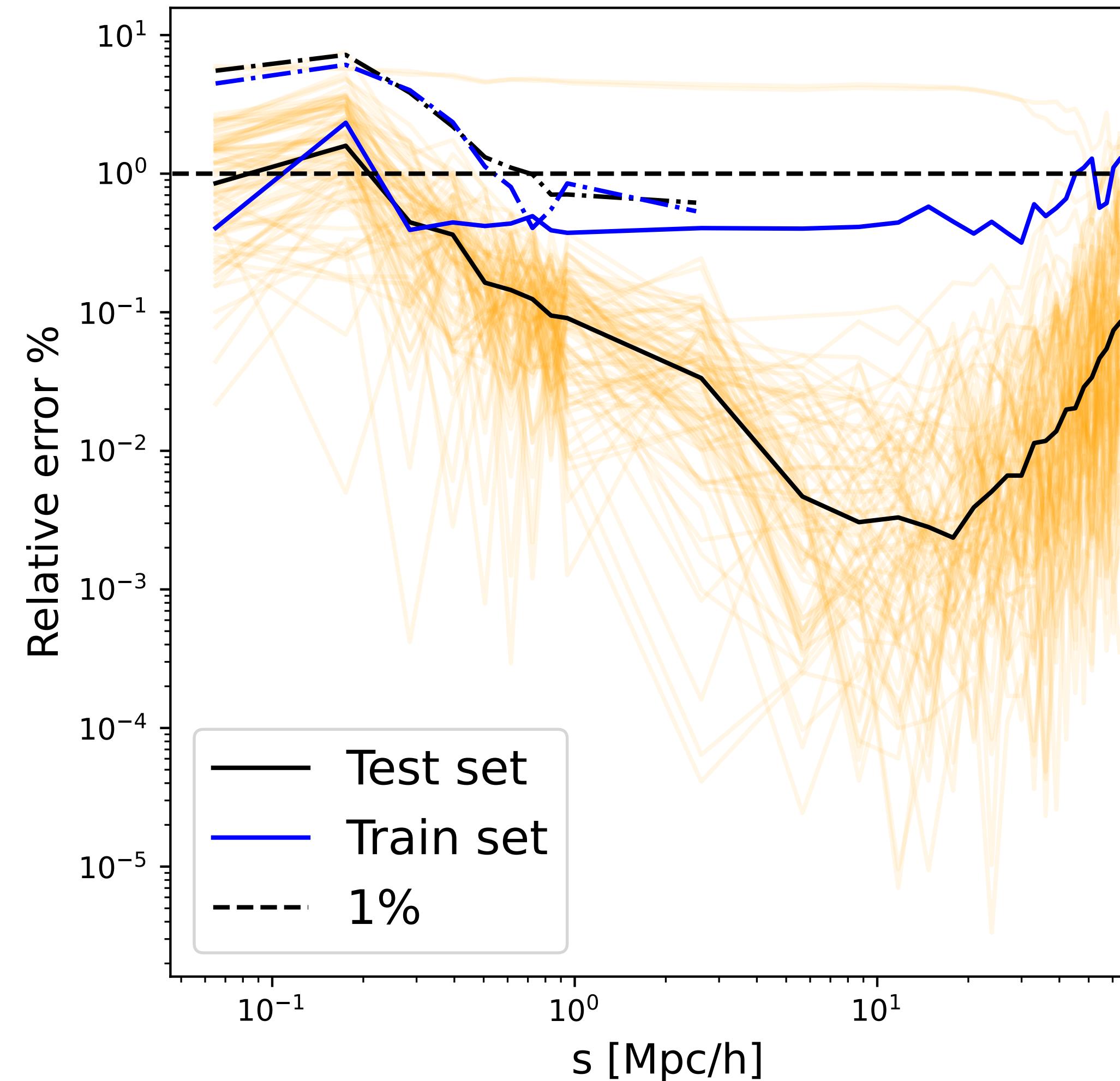
Small boxes for noise estimation



Aemulus project IV

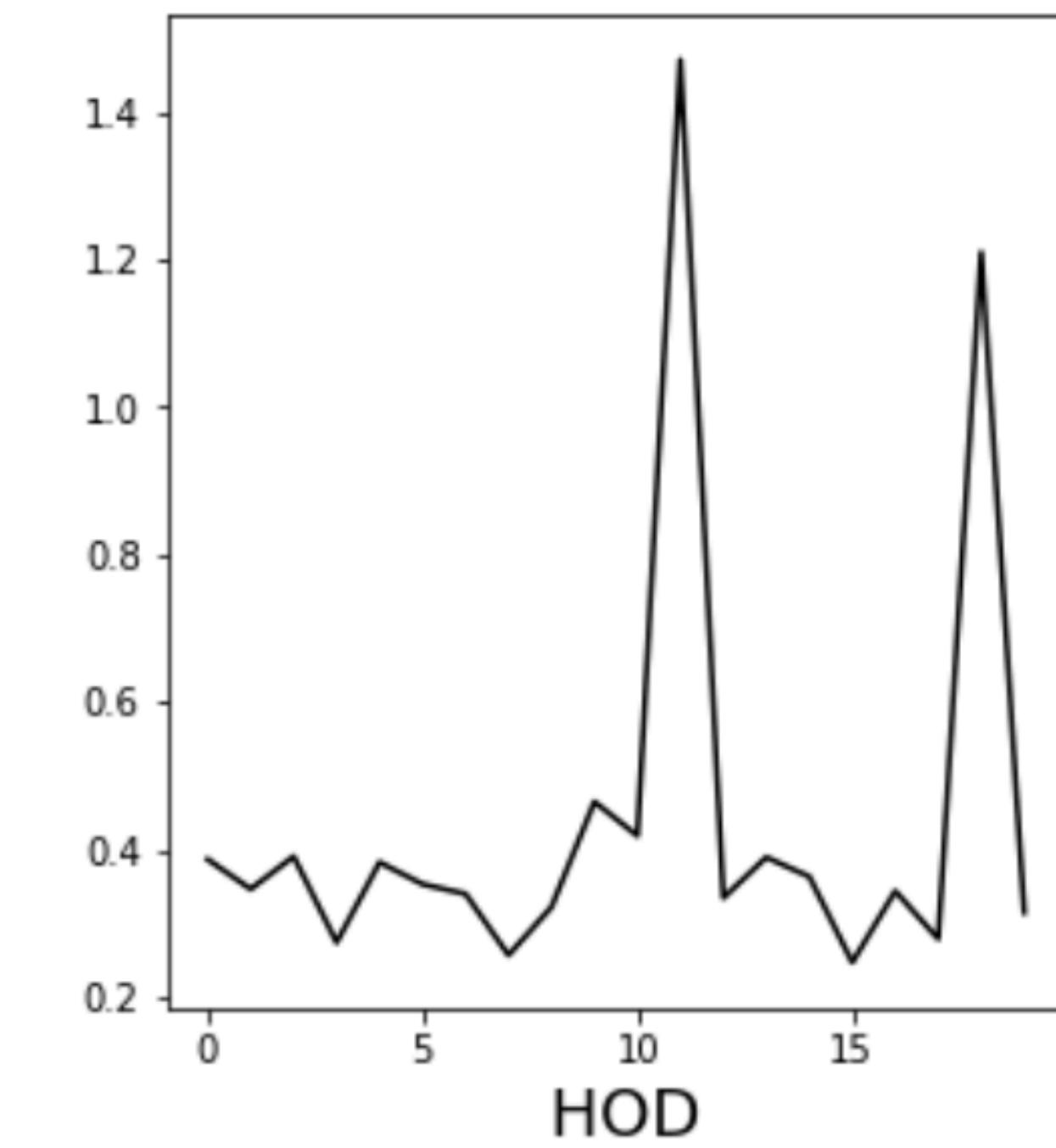
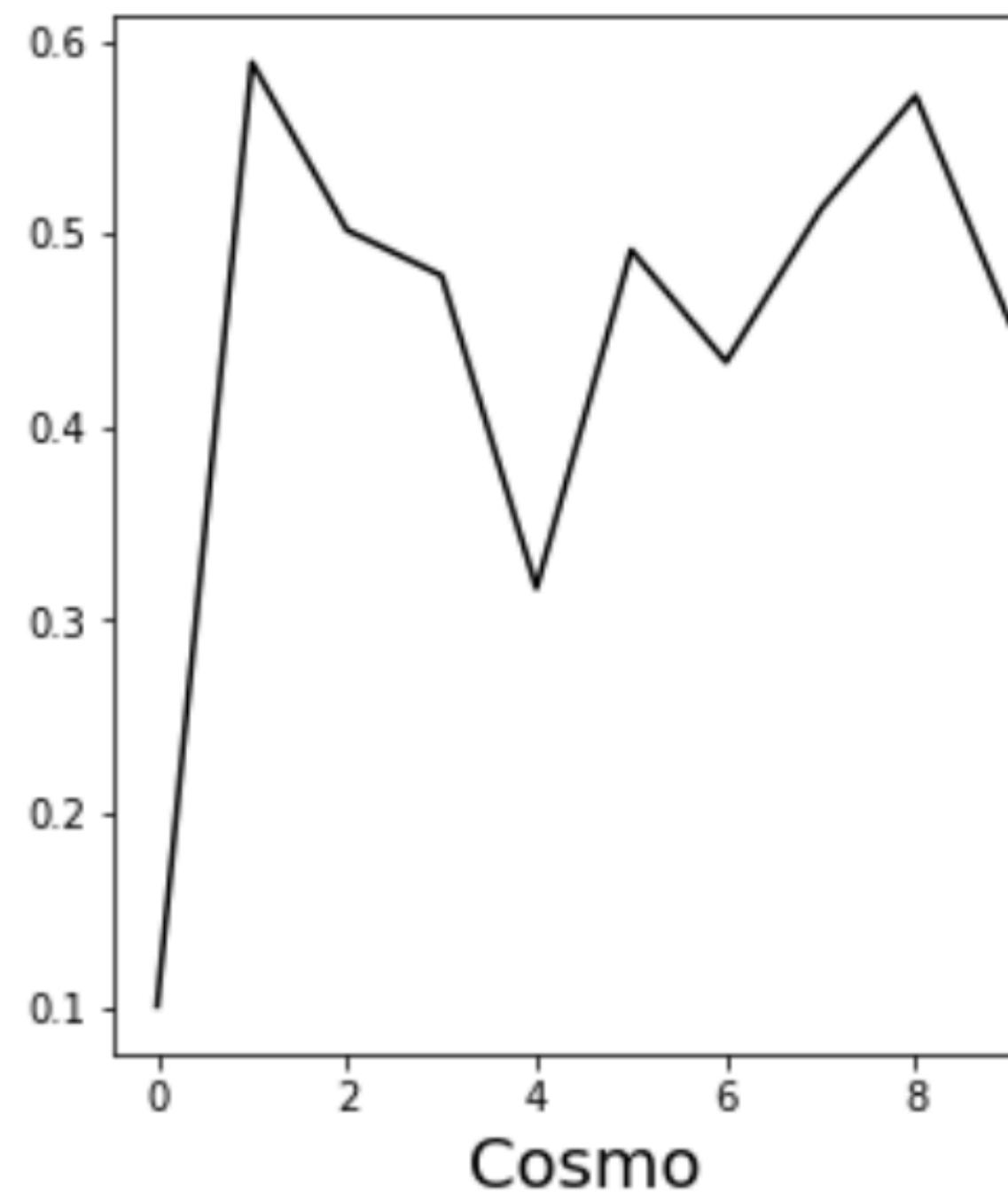
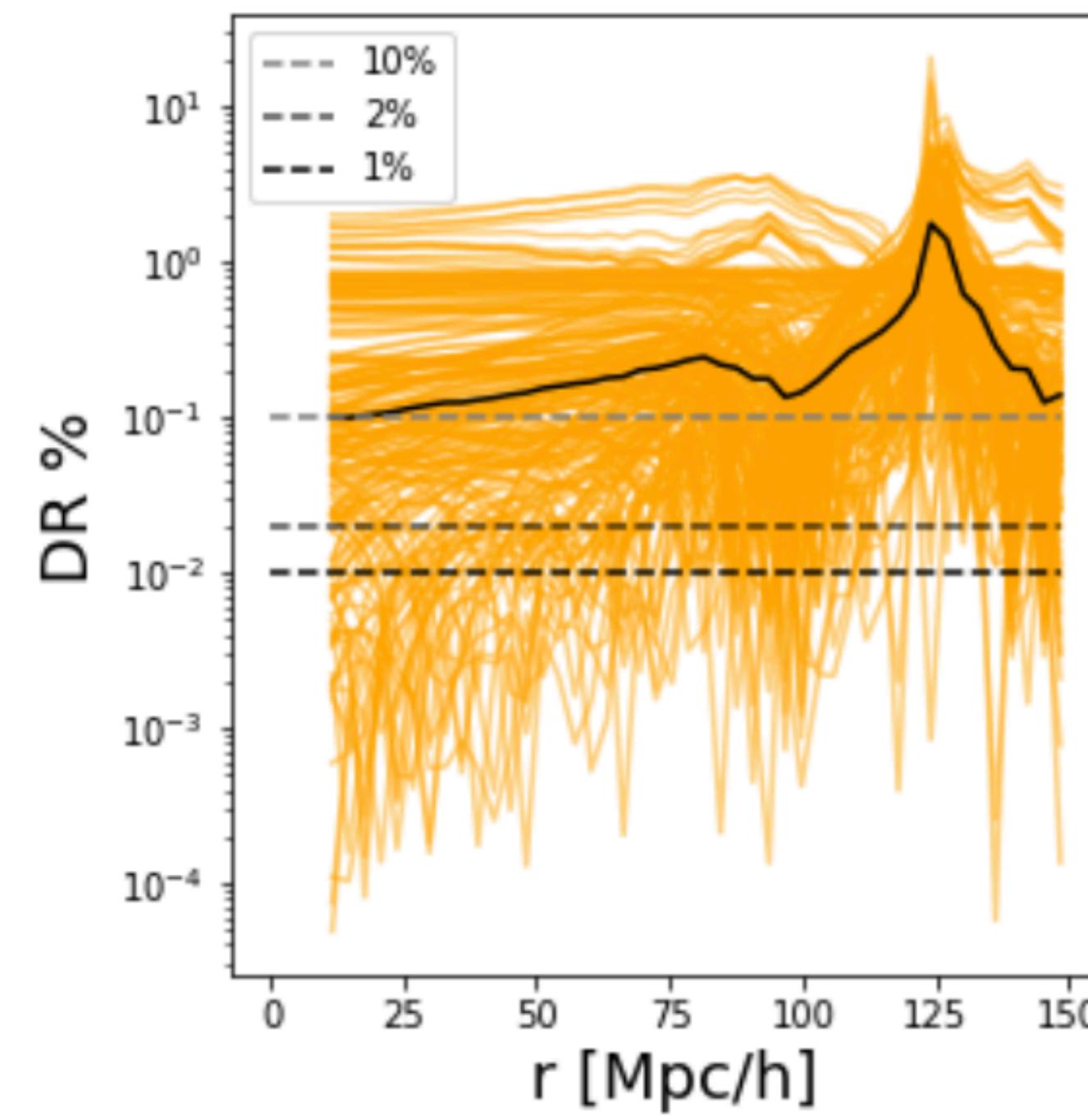


Results for 1hod



Accuracy increases when emulating the different scales together.

Results for the full dataset



Variance dependance on HOD

