




Measurement of the mixing-induced CP-violating observables in $B_s \rightarrow \phi\gamma$

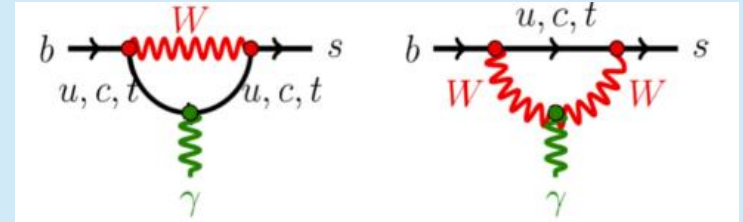
Yingrui Hou

LAPP

GDR-InF Annual Workshop 2022

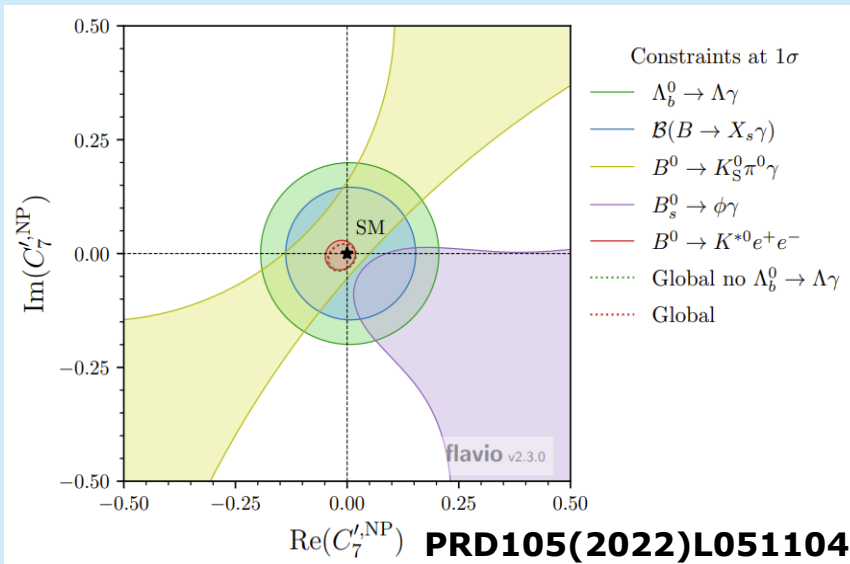
Why $B_s \rightarrow \phi\gamma$?

- γ : Left-handed + Right-handed
 - Enhancement? 
 - ✓ Effect on mixing-induced CP asymmetries
 - ✓ Sensitive to the NP



$$\mathcal{H}_{\text{rad}} = -\frac{4G_F}{\sqrt{2}} V_{tb} V_{ts}^* (C_{7R} \mathcal{O}_{7R} + C_{7L} \mathcal{O}_{7L})$$

$$\Gamma(t)^\pm \propto e^{-\Gamma_s t} \left[\cosh\left(\frac{\Delta\Gamma_s t}{2}\right) - A^\Delta \sinh\left(\frac{\Delta\Gamma_s t}{2}\right) \pm \mathcal{C} \cos(\Delta m_s t) \mp \mathcal{S} \sin(\Delta m_s t) \right]$$



Mixing-induced A_{CP} :

$$\mathcal{S} = \frac{2\text{Im}\left[\frac{q}{p} (A_L A_L^* + A_R A_R^*)\right]}{|A_L|^2 + |\bar{A}_L|^2 + |A_R|^2 + |\bar{A}_R|^2}$$

- In the SM, with LO:

$$\mathcal{S}_{07} = -2 \frac{m_s}{m_b} \sin(\phi_s - \phi_S) = 0$$

Experiment status

- Tagged and untagged time-dependent result with LHCb Run1 data. [PRL 118, 021801 (2017), PRL 123, 081802 (2019)]
 - $A^\Delta = -0.669_{-0.398}^{+0.364}(\text{stat.}) \pm 0.170(\text{syst.}) \pm 0.096(\text{ext.})$
 - $S = 0.427 \pm 0.304(\text{stat.}) \pm 0.111(\text{syst.}) \pm 0.008(\text{ext.})$
 - $C = 0.106 \pm 0.289(\text{stat.}) \pm 0.109(\text{syst.}) \pm 0.013(\text{ext.})$



- Expected improvements
 - Larger data sample Run1 + Run2 (~5 times to Run1)
 - Higher efficiency in event selections (cut-based → BDT)
 - Better flavour tagging performance (new tagging tech)
 - Better control in systematics.

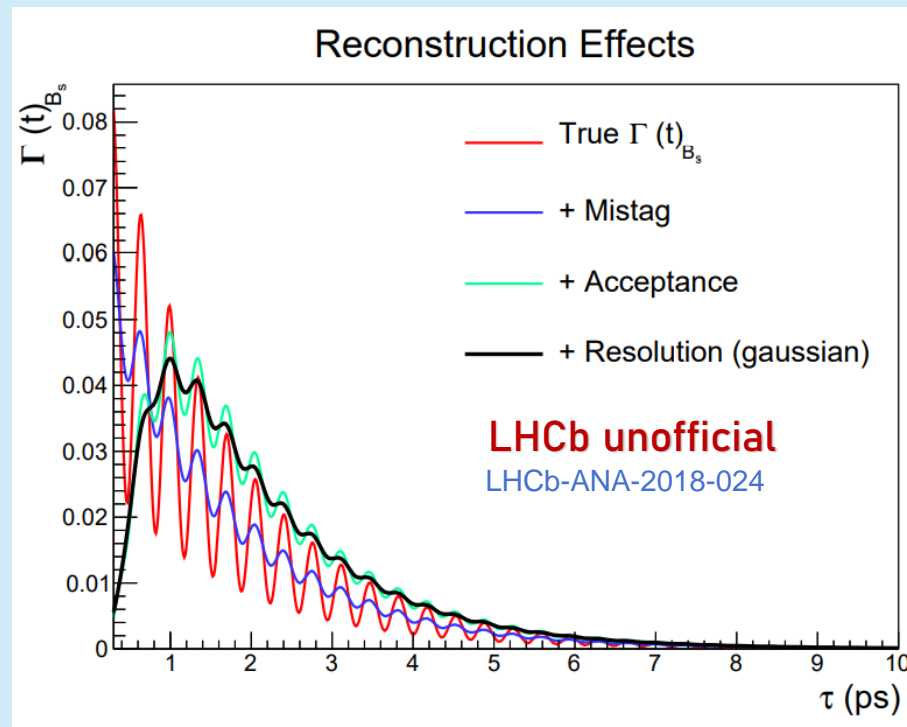
Formalism and Analysis strategy

- The decay time PDF:

$$F(t, q | \omega, \sigma_t) = \Gamma(t', q | \omega) \otimes R_{acc}(t, t' | \sigma_t)$$

➤ $\Gamma(t', q | \omega) = e^{-\Gamma_s t'} \left[\cosh\left(\frac{\Delta\Gamma_s t'}{2}\right) - A^\Delta \sinh\left(\frac{\Delta\Gamma_s t'}{2}\right) + q(1 - 2\omega)\mathcal{C} \cos(\Delta m_s t') - q(1 - 2\omega)\mathcal{S} \sin(\Delta m_s t') \right]$

➤ $R_{acc}(t, t' | \sigma_t) = \epsilon_{acc}(t) R(t, t' | \sigma_t)$

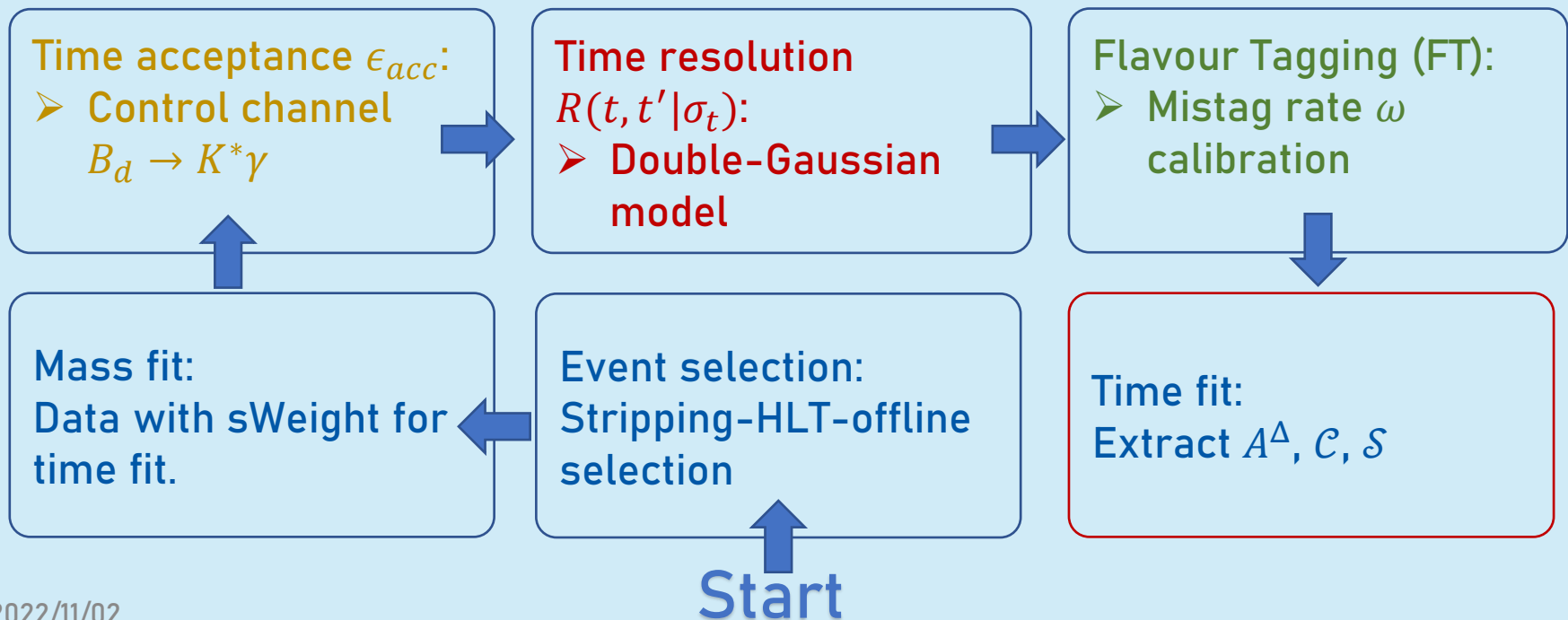


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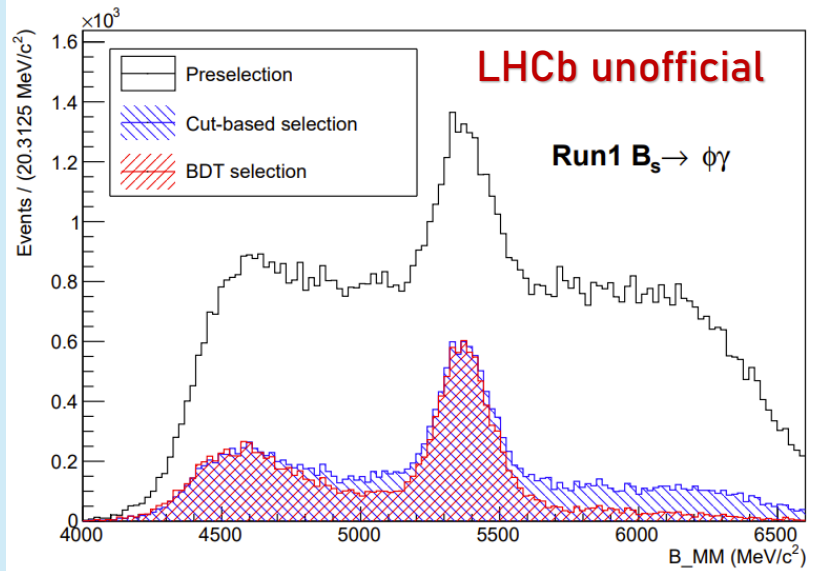
Event selection and Mass Fit

- Selections

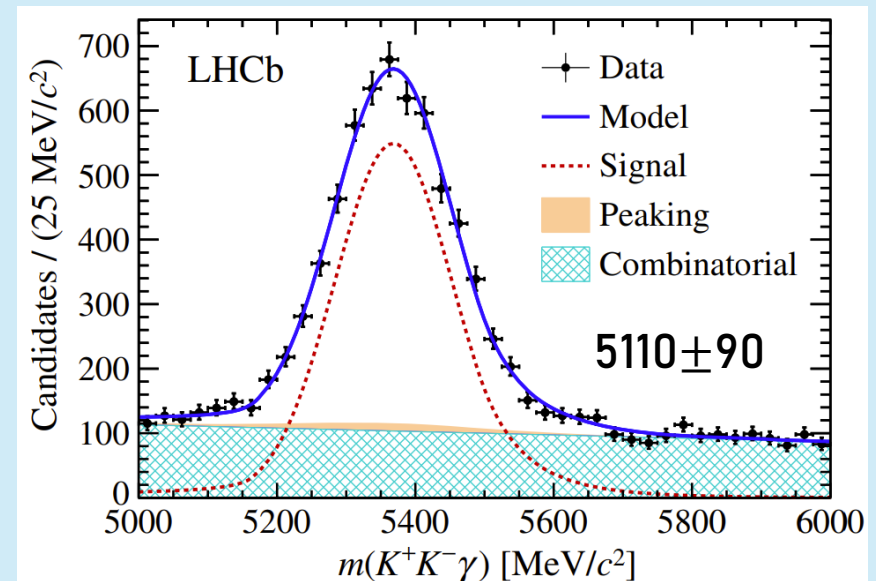
- Cuts: Tracks $\chi_{IP}^2 > 55$, $p_T(B) > 3 \text{ GeV}/c$, $\Delta M(\phi) < 15 \text{ MeV}/c^2$

- Improvement in selection (BDT)

- Input samples: RSB-data(BKG), Signal MC(Signal)
- Features used: p_T , χ_{IP}^2 , η , θ_{DIRA} , $\text{Min}(\Delta\chi_{vtx}^2)$



~13% increase in signal



PRL 123, 081802 (2019)

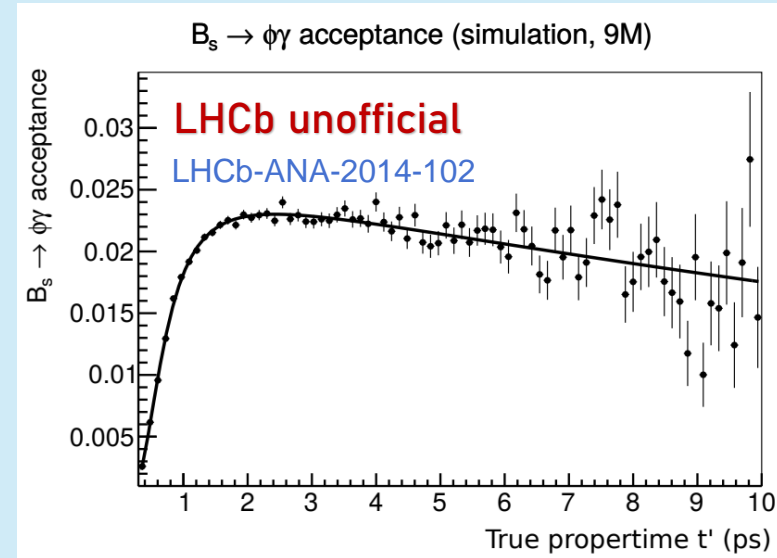
Time acceptance

- Time acceptance model

- $\epsilon_{acc}(t) = e^{-\alpha t} \frac{[a(t-t_0)]^n}{1+[a(t-t_0)]^n}, t \geq t_0$
- a, n : Low decay times
- α : High decay times.
- t_0 : Efficiency 0 time point

- Simultaneous fit (Sig+Con MC)

- a, n : Fixed as same value for both channels
- t_0, α : a global offset between MC and data is allowed, same for both channel



Update for new stripping version:

- Simultaneous fit on signal data + control data + signal MC + control MC.
- Acceptance ratio between signal and control channel is fixed.

Time resolution

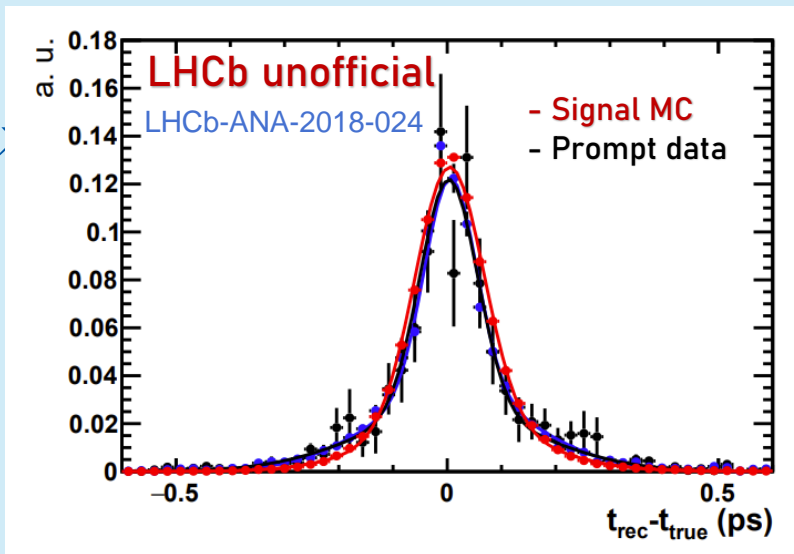
- Double-Gaussian Model

Decay time uncertainty
from kinematic fit

$$R(\Delta t; f, \mu, s_1, s_2 | \sigma_t) = f G_1(\Delta t; \mu, s_1 \sigma_t) + (1 - f) G_2(\Delta t; \mu, s_2 \sigma_t)$$

- Data-MC consistency check

- Using prompt $\phi\gamma$ data and MC sample



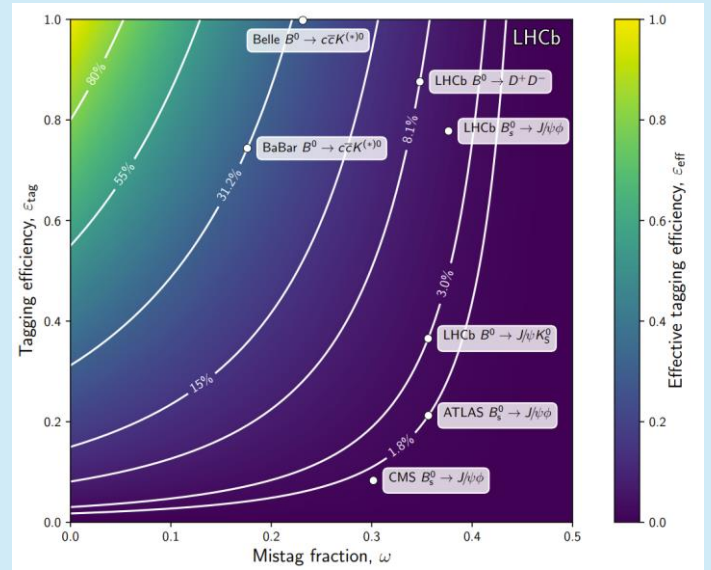
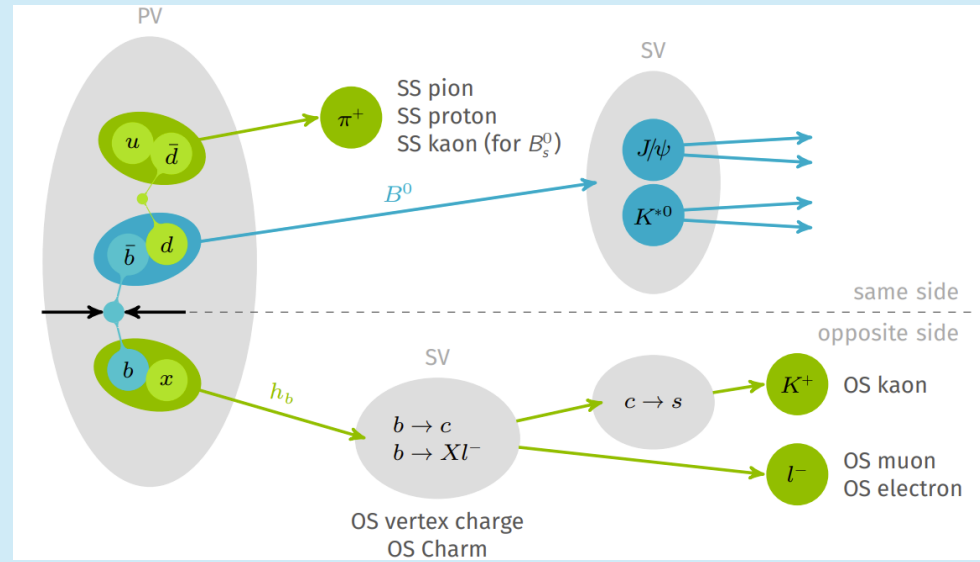
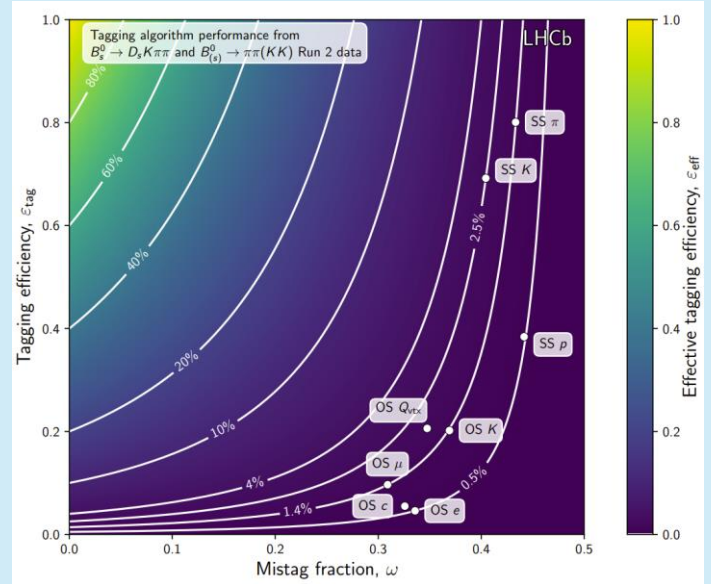
For better controlling systematics [LHCb-TALK-2022-041, CERN-OPEN-99-030]

- Model resolution \Rightarrow Model dilution
- $D = e^{-\frac{1}{2}\sigma_D^2 \Delta m^2} \Rightarrow$ Effective single Gaussian resolution
- Numerically: $D = \frac{1}{N} \sum \cos(\Delta m t)$
- Calibrated σ_t with σ_D in decay time uncertainty bins.

$$R(t') \otimes \sin(\Delta m t') = \sin(\Delta m t) \int_{-\infty}^{+\infty} dt' R(t') \cos(\Delta m t') = D \sin(\Delta m t)$$

Flavour Tagging (FT)

- Tagging at LHCb
 - OS tagger + SS tagger
 - $\epsilon_{tag} = \frac{N_{tag}}{N_{tag} + N_{untag}}$, $\omega = \frac{N_{wrong}}{N_{tag}}$
 - $\epsilon_{eff} = \epsilon_{tag}(1 - 2\omega)^2 \propto 1/\sigma_{stat}^2$
 - “Classic”
 - Choose taggers + Combine

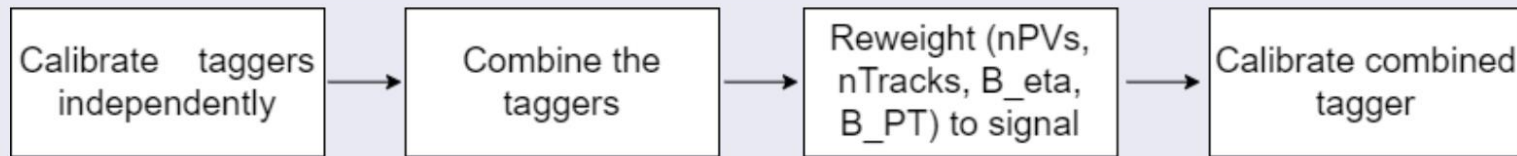


FT Calibration

Calibration strategy

- **OS tagger**: OSCharm, OSElectronLatest, OSKaonLatest, OSVtxCh, OSMuonLatest; **SS tagger**: SSKaonLatest
- Control sample: **OS**: $B_u^+ \rightarrow J/\psi K^+$; **SS**: $B_s \rightarrow D_s^- \pi^+$ [Run1 and Run2 MC & Data]

Calibration procedure

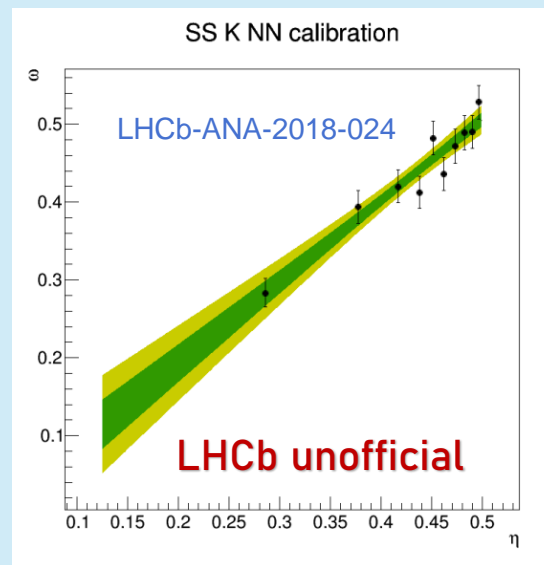
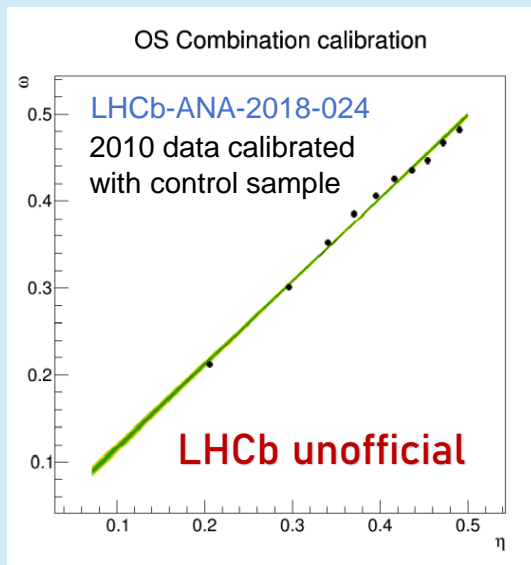
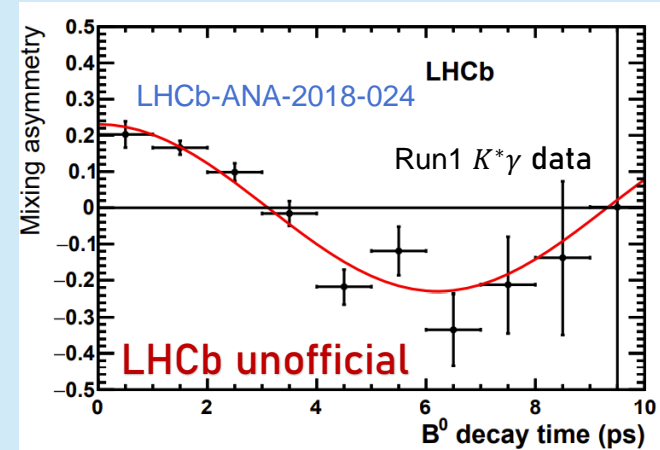


Calibration model

- $\omega(\eta) = p0 + p1(\eta - \langle \eta \rangle)$,
 $\omega(\eta)$ is the true mistag rate, η is the mistag rate predicted by tagging algorithm, $p0$ and $p1$ are the calibration parameters.
- Unbinned method:
PDF($a|\eta$) = $(1 - a)\omega(\eta) + a[1 - \omega(\eta)]$, $a = 0, 1$ (wrong, right tagged)

FT Calibration

- Tagging performance of Run1 data
 - SS $\epsilon_{eff} = 2.26\%$
 - OS $\epsilon_{eff} = 2.84\%$
 - Combination $\epsilon_{eff} = 4.88\%$

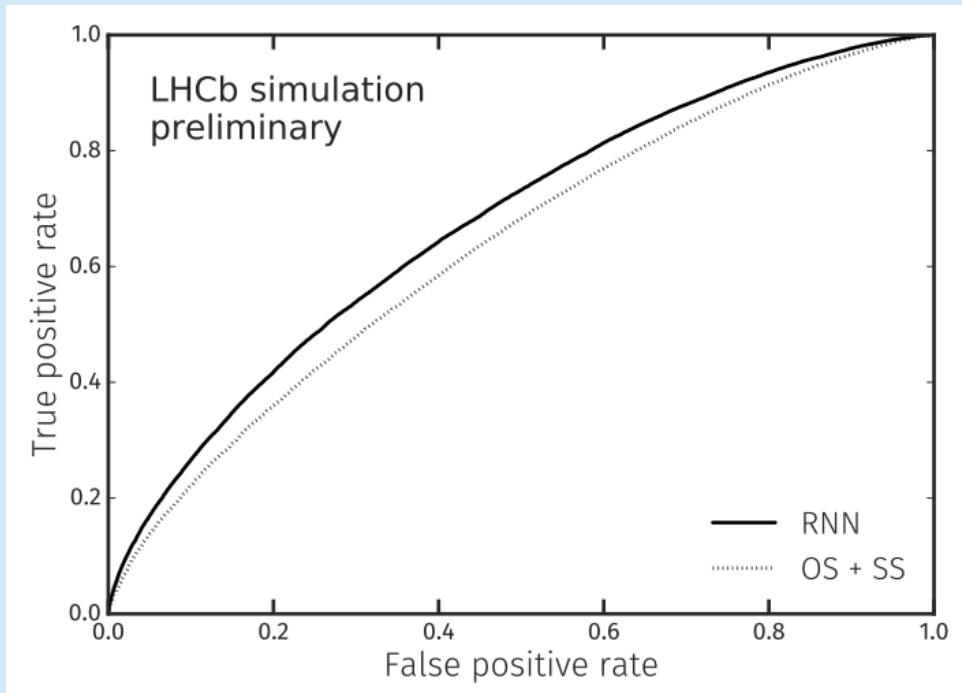


- ϵ_{eff} of Run2 is expected to be better
 - Optimized FT Alg
 - Better trained model

~20% ϵ_{eff} increase between J/ $\psi\phi$ Run1 and 201516 analysis

Inclusive Flavour Tagging (IFT)

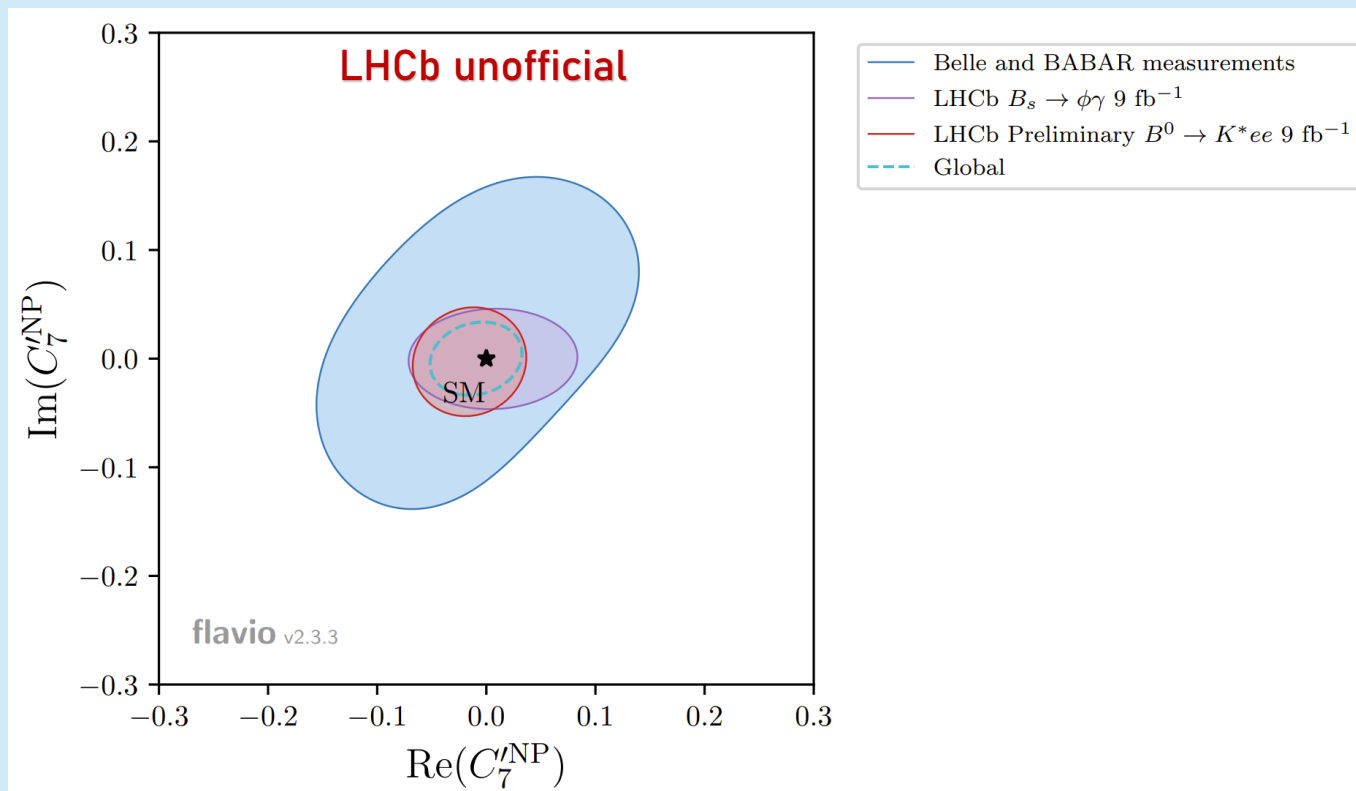
- Combine info of all non-signal tracks into the tag decision
 - Tagging efficiency $\sim 100\%$
 - Support one single framework rather than 8 separate taggers



- IFT is now ready for test and check on Run2 data.
- Expected to increase $B_s \epsilon_{eff}$ by $\sim 8\%$.
- Decrease the σ_{stat} by $\sim 4\%$

pos.sissa.it/321/230/pdf

Expected Constraint on $C7'$



- Constraint on $C7'$ with expected Run1 + Run2 $B_s \rightarrow \phi\gamma$ precision.
 - Improvement in selections and tagging power are included.
 - Assuming the systematics are at same level as Run1 analysis.
 - Assuming the mean value of S and A^Δ are same as SM predictions.
- Good constraint on $C7'$, competitive with $B^0 \rightarrow K^*ee$.

Summary and outlook

- As one of the sensitive antennae to the NP, $B_s \rightarrow \phi\gamma$ is expected to provide better constraints on theory.
- The mixing-induced CPV observables $A^\Delta, \mathcal{C}, \mathcal{S}$ are expected to have significant improved precision
 - Whole Run1 and Run2 data
 - Optimized selections, time description, FT performance
 - Analysis note is under preparation[stay tuned...]
- Other possibilities with $b \rightarrow s\gamma$
 - CPV when having more resonances, inclusive $B_s \rightarrow hh\gamma$ (need amplitude/angular parameters)
 - Virtual γ process, like $B_s \rightarrow \phi ee$ (angular observables + time-dependent CP observables)[arXiv:2210.11995]
- Promising Run3
 - High luminosity, software/detector upgrade (better performance...)

THANKS FOR LISTENING



ANY QUESTIONS?