

UNIONS: The impact of systematic errors on weak-lensing peak counts

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Work done with Virginia Ajani, Martin Kilbinger, Valeria Pettorino, Samuel Farrens, Jean-Luc Starck, Raphaël Gavazzi, Michael J. Hudson

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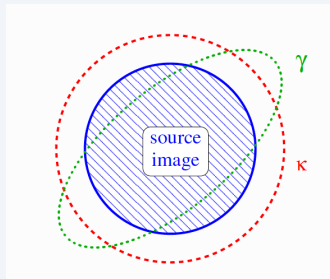


CONTENT

1. Introduction
2. Local shear calibration
3. Impact of systematics on cosmological parameters
4. Conclusion

Introduction

WEAK LENSING



- Deformation:
 - convergence κ : isotropic magnification,
 - shear $\gamma \equiv \gamma_1 + i\gamma_2$: anisotropic stretching,
- Weak lensing: $\kappa \ll 1$; $|\gamma| \ll 1$

Reduce shear

$$g = \frac{\gamma}{1 - \kappa}$$

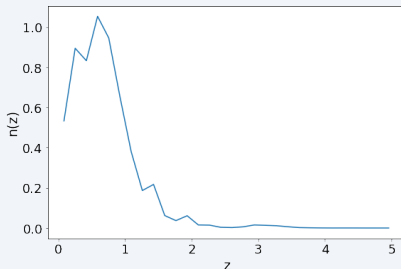
CFIS DATA

- Part of UNIONS (Ultra-violet Near-Infrared Optical Northern Survey)
- Homogeneous and multi-wavelength
- Northern hemisphere: 2017-2025
- Catalogue: P3: $34.7^\circ \times 17.7^\circ$
- Provided by Guinot, et al. (2022)

MASSIVENUS SIMULATIONS

- Done by Liu et al. (2018)
- Massive neutrinos simulations
- Dark matter only
- 3 cosmological parameters are varying: $\sum M_\nu, \Omega_m, A_s$
- 101 cosmologies, 10,000 realisations
- Fixed z : 0.5, 1, 1.5, 2, 2.5
- Resolution: 0.4 arcmin/pixel, size: 512×512 pixels
- Fiducial cosmology: $M_\nu = 0.1, \Omega_m = 0.3, A_s = 2.1 \times 10^{-9}$
- Theoretical peak counts model - Ajani et al. (2020)

EFFECTIVE REDSHIFT DISTRIBUTION



- Mean redshift: $z = 0.65$
- Linear interpolation
- Hypothesis: uniform distribution

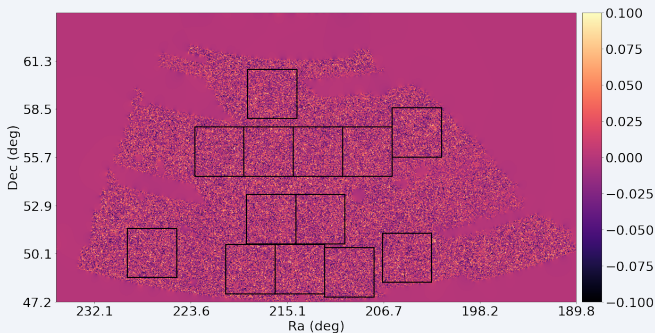
$$\kappa_{z=0.65} = \kappa_{z=0.5}\lambda + \kappa_{z=1}(1 - \lambda)$$

$$\begin{aligned}\bar{z} &= \int n(z)zdz = \int [\delta(z-0.5)\lambda + \delta(z-1)(1-\lambda)]zdz \\ &= 0.5\lambda + 1(1-\lambda) = 0.65,\end{aligned}$$

⇒ Convergence map at $z = 0.65$ with $\lambda = 0.7$

WEAK LENSING PEAK COUNTS

- Statistics higher than second order
- Sensitive to cosmology and non-Gaussianities
- Local maxima: pixel whose eight neighbors are smaller
- KS93 algorithm (*Kaiser and Squires, 1993*): shear $\Rightarrow$ convergence

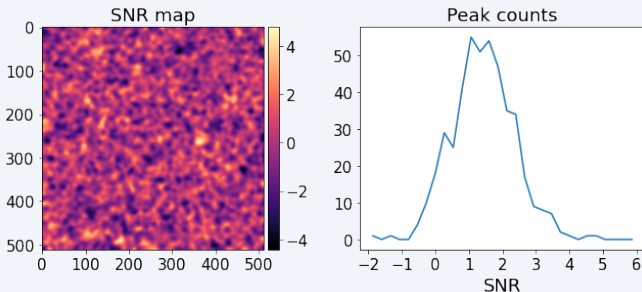


PEAK COUNTS

- Smooth with a Gaussian kernel: 2 arcminutes
- Divide by the noise: SNR map
- Compute peak counts with *lenspack* python package
- Noise: Gaussian random field: $\sigma_{\text{pix}}^2 = \frac{\langle \sigma_e^2 \rangle}{2n_{\text{gal}} A_{\text{pix}}}$

CFIS data

$\sigma_e = 0.44$, $n_{\text{gal}} = 7$ galaxies/arcmin², $A_{\text{pix}} = 0.4^2$ arcmin²/px²



PARAMETER INFERENCE - MCMC

- Model peak function with `MassiveNuS` simulations
- Interpolated to an arbitrary cosmological parameter vector (M_V, Ω_m, A_s) : Gaussian process
- Covariance: computed at the mass-less model
- Data: peaks are the mean over 13 mask-free patches
- Likelihood: multivariate Gaussian
- Prior of the parameters:
 - $\Sigma M_V : [0.06 - 0.62]$
 - $\Omega_m : [0.18 - 0.42]$
 - $A_s : [1.29 - 2.91] \times 10^{-9}$
- 1D and 2D marginalised posteriors of the distribution
- 68% and 95.5% credible region

Local shear calibration

METACALIBRATION

$$g_i^{\text{obs}} = \sum_{j=1}^2 R_{ij} g_j^{\text{true}} + c_i$$

$$\text{tr}(R) = 2(1 + m)$$

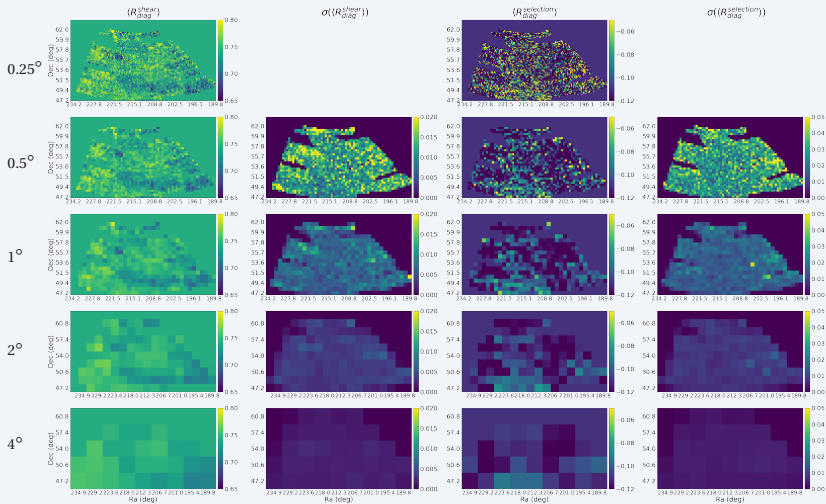
- R : response matrix
- c : additive shear bias
- m : multiplicative shear bias
- $R = \langle R^{\text{shear}} \rangle + \langle R^{\text{selection}} \rangle$
- Local calibration on
0.25, 0.5, 1, 2, 4 square degree

Usefull notations

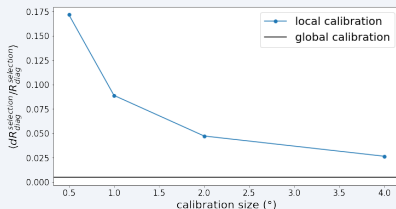
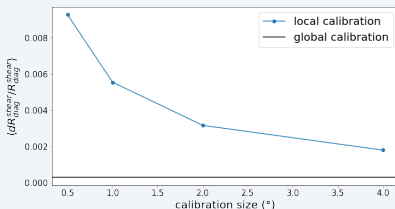
$$R_{\text{diag}} = (R_{11} + R_{22})/2$$

$$R_{\text{off-diag}} = (R_{12} + R_{21})/2$$

R_{SHEAR} AND $R_{\text{SELECTION}}$



PARAMETERS - CONCLUSION



- Standard deviation and errors: low
- Calibration on small size is working
- Spread around the mean value
- Calibration on smaller size: more fluctuations
- Need to know which size is the more accurate

Impact of systematics on cosmological parameters

SYSTEMATICS AND UNCERTAINTIES STUDIED

- Local calibration $\Rightarrow$ not detailed here
- Local calibration & Residual multiplicative shear bias
- Redshift uncertainty
- Baryonic feedback
- Intrinsic alignment & cluster member dilution

$\Rightarrow$ Combining all of them

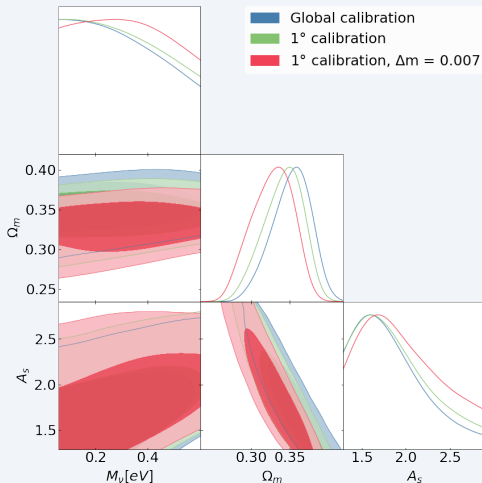
Ideal model

$z = 0.65$, no baryonic correction, global calibration, $-2 < \text{SNR} < 6$

RESIDUAL MULTIPLICATIVE SHEAR BIAS

- Metacalibration not perfect
- $\Delta m = m^{\text{metacal}} - m^{\text{true}}$
- Estimated with simulations
- $\Delta m = 0$: metacalibration perfect
- $\Delta m = 0.007$: Guinot et al. (2022)
- Add Δm to the response matrix in the local case

RESIDUAL MULTIPLICATIVE SHEAR BIAS



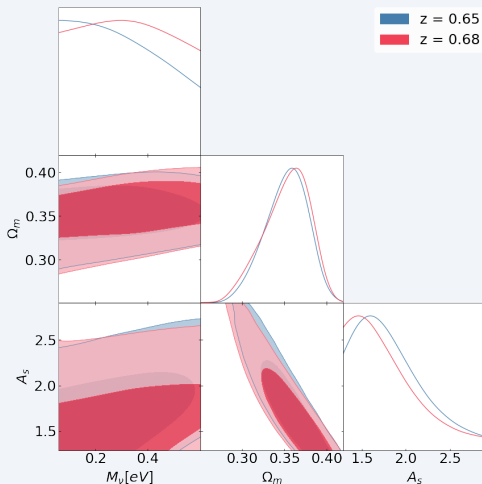
- Ω_m shifts of -0.024 (i.e. -0.5σ)
- Local calibration and Δm have an impact

⇒ Need to know Δm

Parameters

- $z = 0.65$
- No baryonic correction
- Calibration on $1^{\circ 2}$
- $\Delta m = 0, \Delta m = 0.007$
- $-2 < \text{SNR} < 6$

REDSHIFT UNCERTAINTY



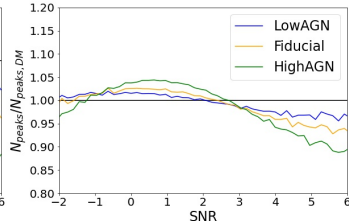
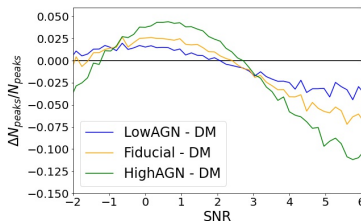
- Close redshift
- Close constraints
- $z = 0.65$ to $z = 0.68$:
 Ω_m shifts of $+0.001$
(i.e. $+0.02\sigma$)

Parameters

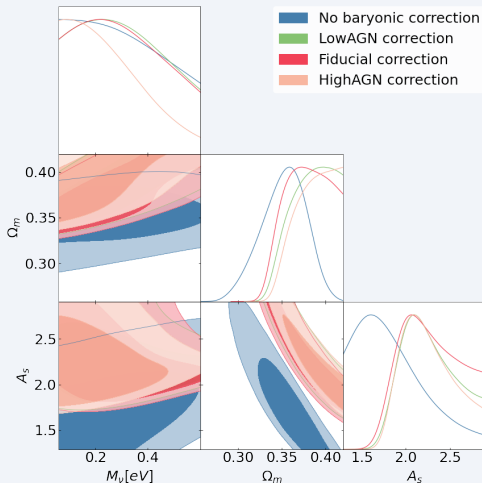
- $z = 0.65, z = 0.68$
- No baryonic correction
- Global calibration
- $-2 < \text{SNR} < 6$

BARYONIC FEEDBACK - METHOD

- Baryonic process: difficult to model
- Coulton et al. (2020): study *BAHAMAS* simulation $\Rightarrow$ 3 strength of baryonic feedback
- LowAGN < fiducial < HighAGN
- Fractional difference with their data (left)
- Obtain the baryonic correction (right)
- Multiply our data: mimic the baryonic feedback



BARYONIC FEEDBACK

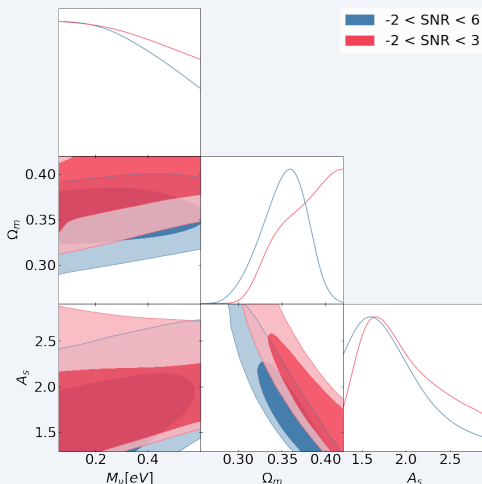


- Less peaks $\Rightarrow \Omega_m$ higher to compensate
- No correction to LowAGN correction: Ω_m shifts of $+0.027$ (i.e. $+0.5\sigma$)

Parameters

- $z = 0.65$
- Baryonic correction
- Global calibration
- $-2 < \text{SNR} < 6$

INTRINSIC ALIGNMENT & CLUSTER MEMBER DILUTION

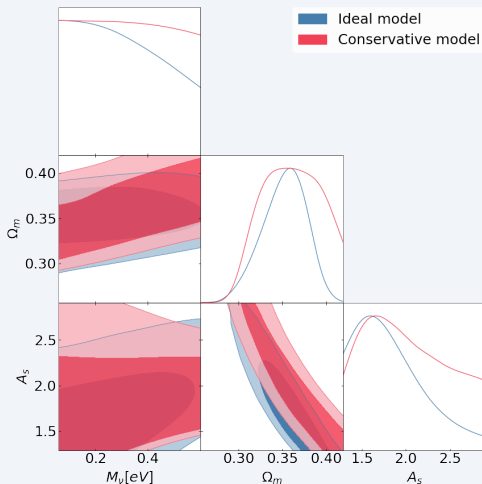


- Cut high SNR $\Rightarrow$ cut part of the effects
- All range to cut range: Ω_m shifts of $+0.027$ (i.e. $+0.5\sigma$)

Parameters

- $z = 0.65$
- No baryonic correction
- Global calibration
- $-2 < \text{SNR} < 6$ and $-2 < \text{SNR} < 3$

COMBINING ALL SYSTEMATICS EFFECTS



- Ideal to conservative: Ω_m shifts by +0.008 (i.e. $+0.2\sigma$)

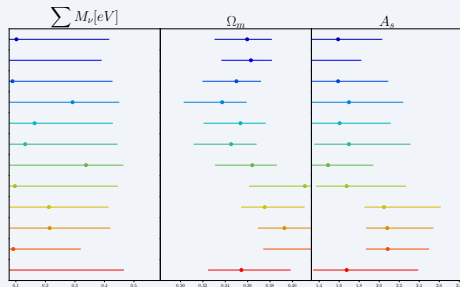
Parameters

- $z = 0.65$
- Fiducial baryonic correction
- Local calibration $1^{\circ 2}$
- $\Delta m = 0.007$
- $-2 < \text{SNR} < 3$

Conclusion

CONCLUSION

Ideal model
 0.5° calibration
 1° calibration
 1° calibration, $\Delta m = 0.007$
 2° calibration
 4° calibration
 $z = 0.68$
 $-2 < \text{SNR} < 3$
 LowAGN baryonic correction
 Fiducial baryonic correction
 HighAGN baryonic correction
 Conservative model



CONCLUSION

- Most important systematics:
 - Local calibration & Δ_m
 - Baryonic correction
 - Cluster member dilution & intrinsic alignment
- Better knowledge of the redshift to check the actual Δz or do tomographic analyses
- Use of hydrodynamical simulations
- Model the cluster member dilution & intrinsic alignment

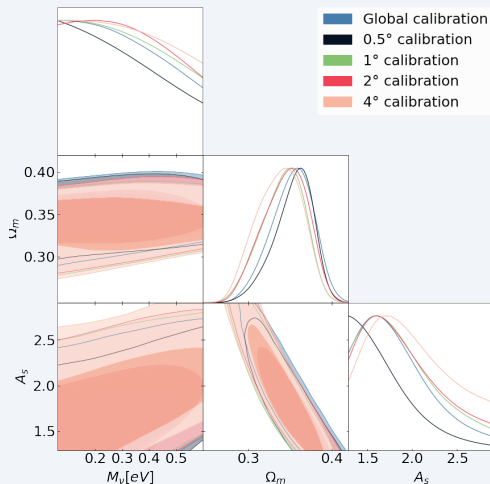
⇒ here: starting point for future analyses with larger catalogue

Want to now more?

Paper on arXiv! <https://arxiv.org/abs/2204.06280>

Contact me: emma.aycoberry@iap.fr

LOCAL CALIBRATION

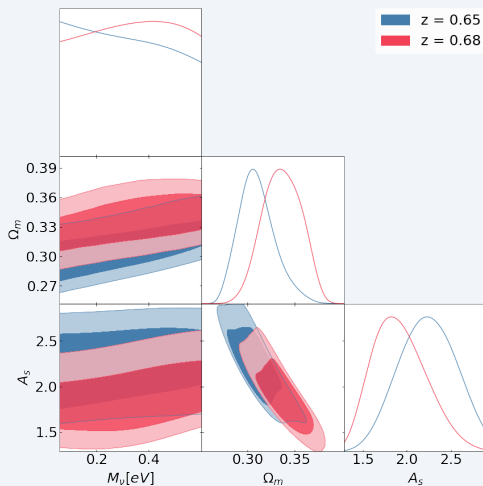


- No systematic variation
- Local to global on 4 square degree: Ω_m shifts by -0.015 (i.e. -0.3σ)

Parameters

- $z = 0.65$
- No baryonic correction
- Calibration on different size
- $-2 < \text{SNR} < 6$

REDSHIFT UNCERTAINTY - SIMULATIONS ONLY

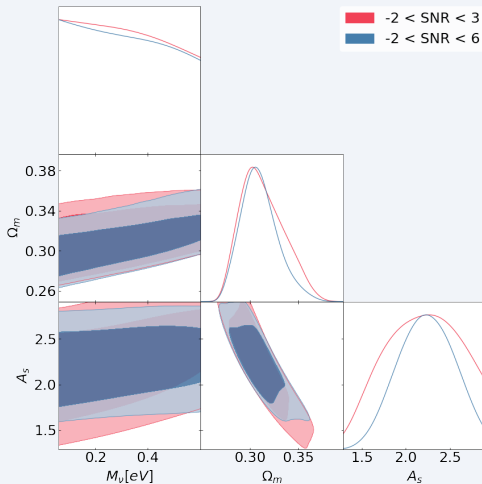


- $z = 0.65$ to $z = 0.68$:
 Ω_m shifts of $+0.026$
(i.e. $+0.7\sigma$)

Parameters

- data vector: mean fiducial at
 $z = 0.65, z = 0.68$
- model: simulations at $z = 0.65$

IA AND BOOST FACTOR - SIMULATIONS ONLY

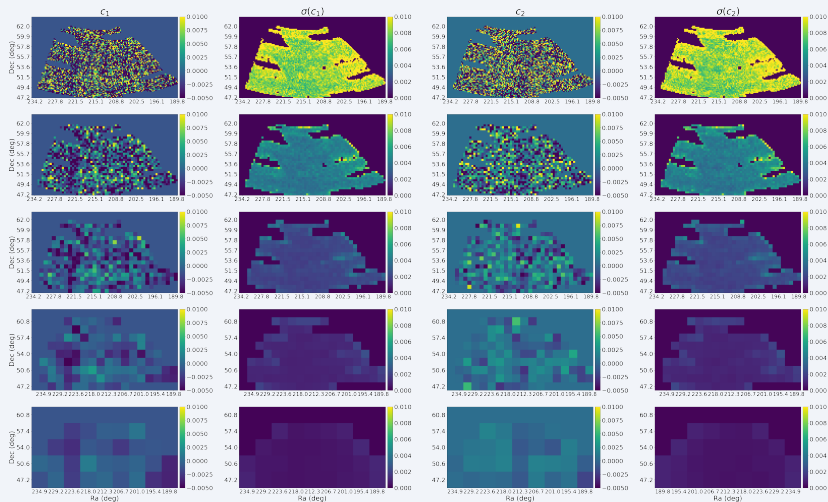


- Reduce range: constraints larger
- Less information

Parameters

- data vector:
 $-2 < \text{SNR} < 6$ and
 $-2 < \text{SNR} < 3$
- model:
 $-2 < \text{SNR} < 6$

PARAMETERS - ADDITIVE BIAS



METACALIBRATION

Link between observed and true shear

$$g_i^{\text{obs}} = \sum_{j=1}^2 R_{ij} g_j^{\text{true}} + c_i \quad (1)$$

$$g_j^{\text{true}} = \sum_{i=1}^2 R_{ij}^{-1} g_i^{\text{obs}} - \sum_{i=1}^2 R_{ij}^{-1} c_i. \quad (2)$$

R matrix

$$R_{ij}^{\text{shear}} = \frac{g_i^{\text{obs},+} - g_i^{\text{obs},-}}{2\Delta g_j}, \quad \langle R_{ij}^{\text{selection}} \rangle = \frac{\langle g_i^{\text{obs},0,\text{M}^+} \rangle - \langle g_i^{\text{obs},0,\text{M}^-} \rangle}{2\Delta g_j}, \quad (3)$$

