

Testing neutron to hidden neutron oscillations with Ultra-Cold Neutrons Beams

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1. Motivation

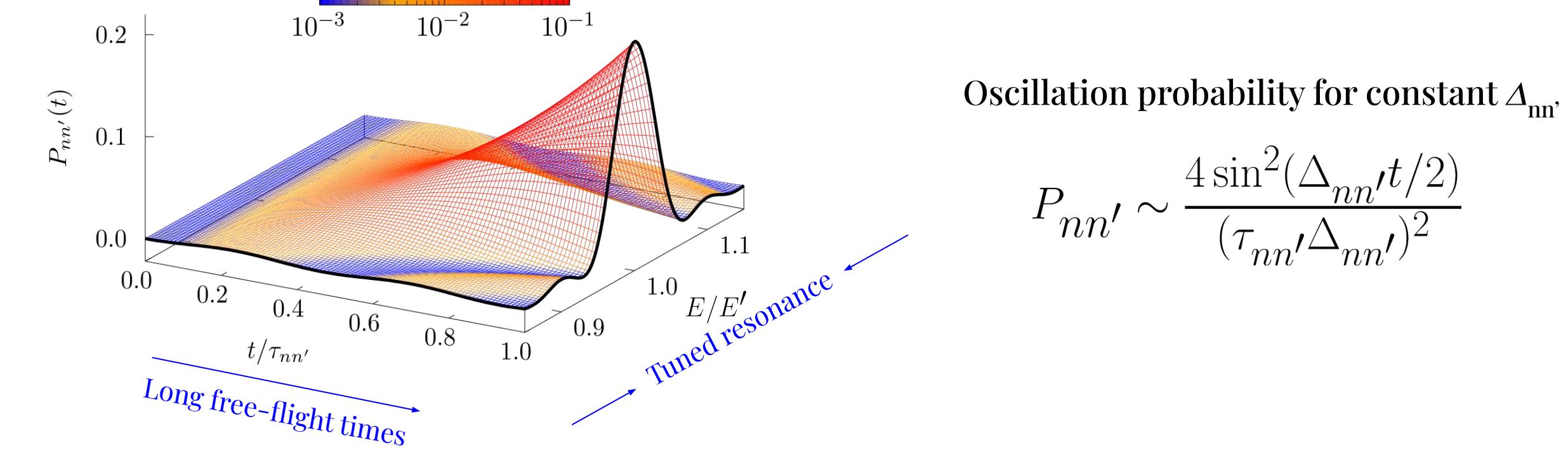
- Hidden matter: an extra avenue to explain dark matter ^a
- New hints on the Baryogenesis problem ($n-n'$ violates B)
- Explanation to several anomalies in precision measurements (τ_n , ν_s , GZK cutoff, ...)

2. Measurement principle

- Simple phenomenological model
- Experimental technique:
Suppress the energy degeneracy

$$\hat{\mathcal{H}}_{nn'} = \begin{pmatrix} m_n + \Delta E & 1/\tau_{nn'} \\ 1/\tau_{nn'} & m_{n'} + \Delta E' \end{pmatrix}$$

$$\Delta_{nn'} = (\Delta E) - (\delta m + \Delta E') \rightarrow 0$$

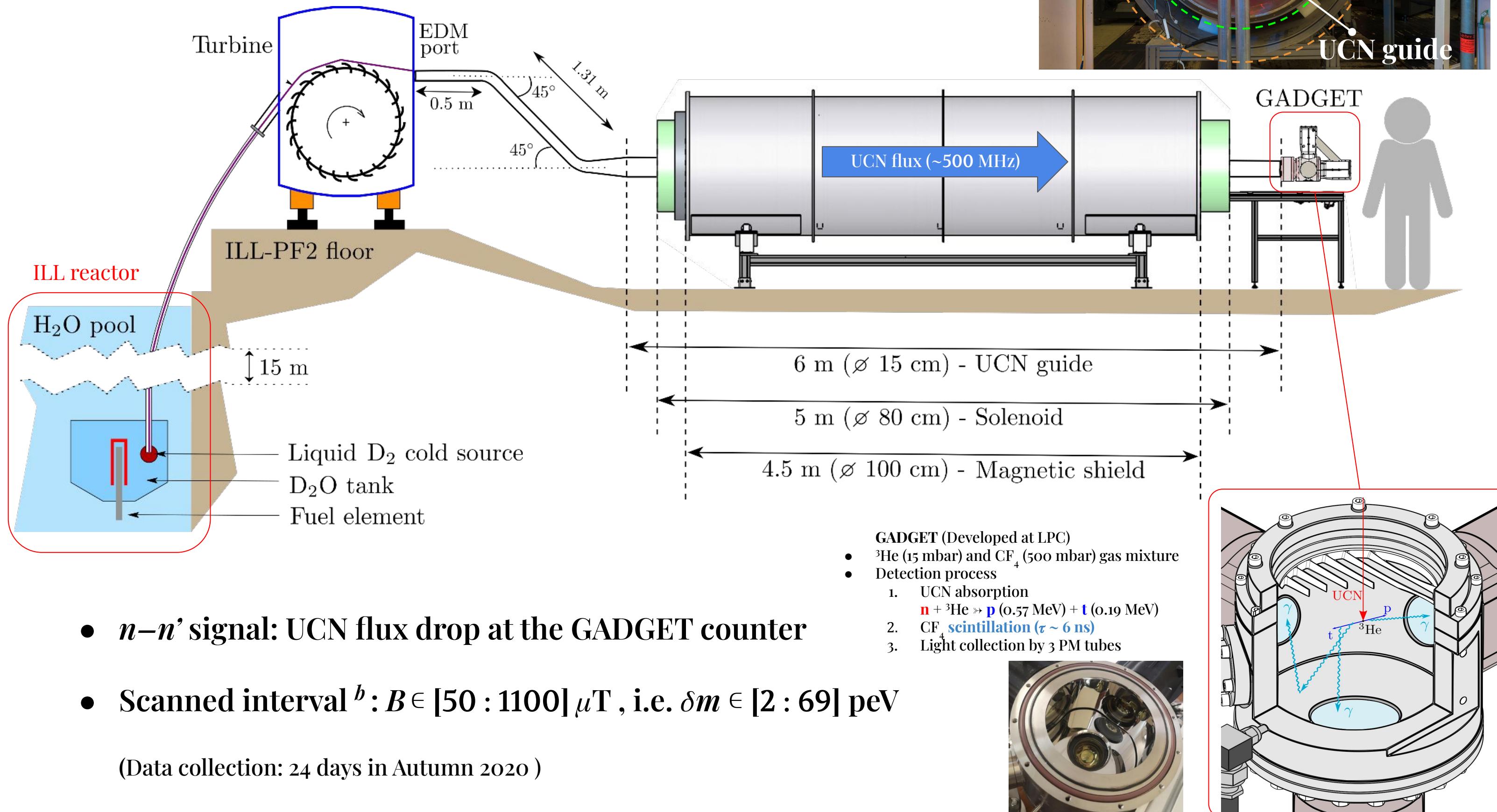


$$\text{Oscillation probability for constant } \Delta_{nn} \\ P_{nn'} \sim \frac{4 \sin^2(\Delta_{nn} t/2)}{(\tau_{nn'} \Delta_{nn'})^2}$$

3. Experimental setup

- $n-n'$ energy degeneracy suppressed with external magnetic fields

$$\Delta_{nn'} = (\Delta E) - (\delta m + \Delta E') \\ = (\mu B) - (\delta m + \Delta E')$$

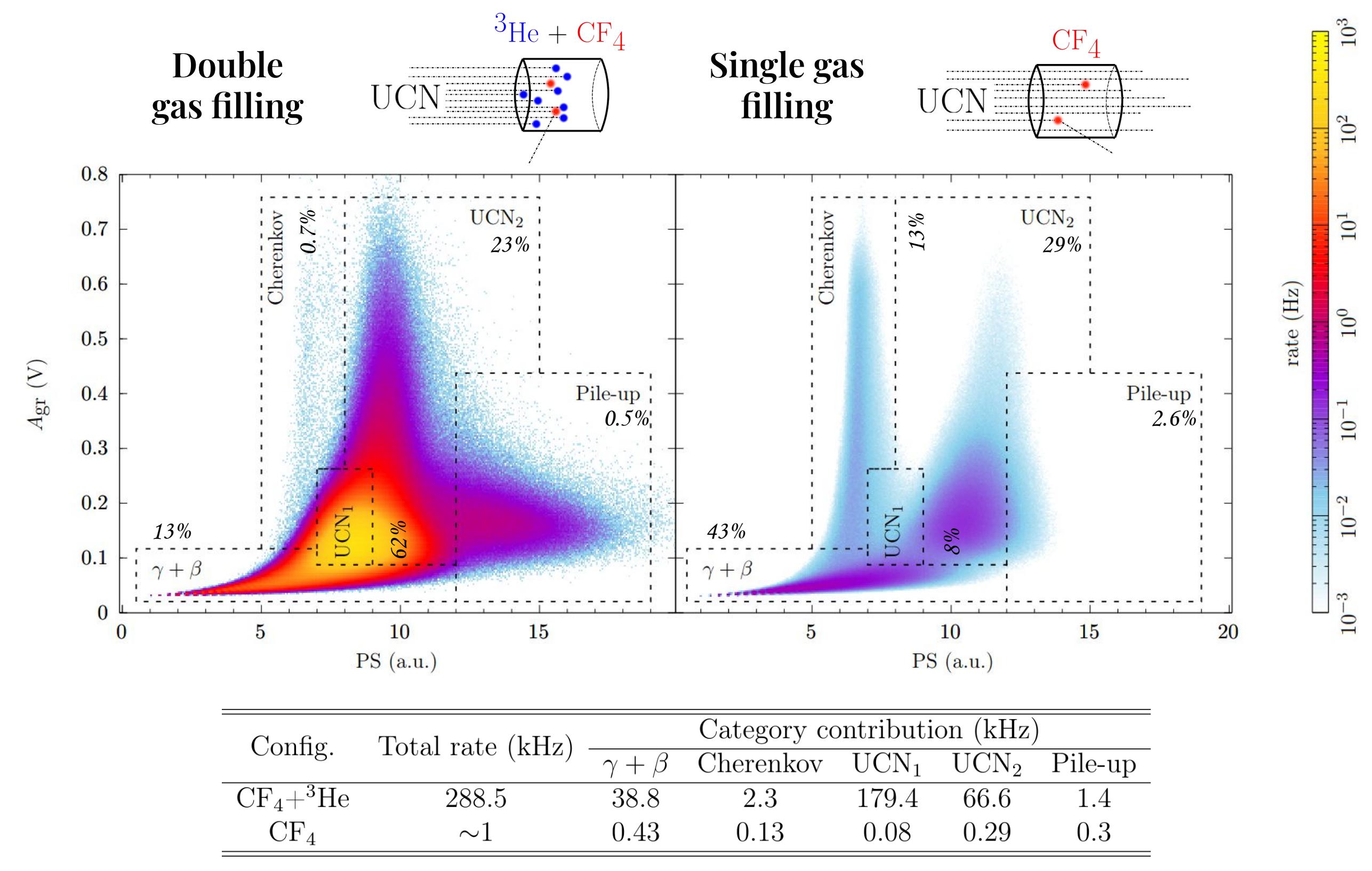


- $n-n'$ signal: UCN flux drop at the GADGET counter

- Scanned interval ^b: $B \in [50 : 1100] \mu\text{T}$, i.e. $\delta m \in [2 : 69] \text{ peV}$

(Data collection: 24 days in Autumn 2020)

4. Pulse shape analysis (PSA)



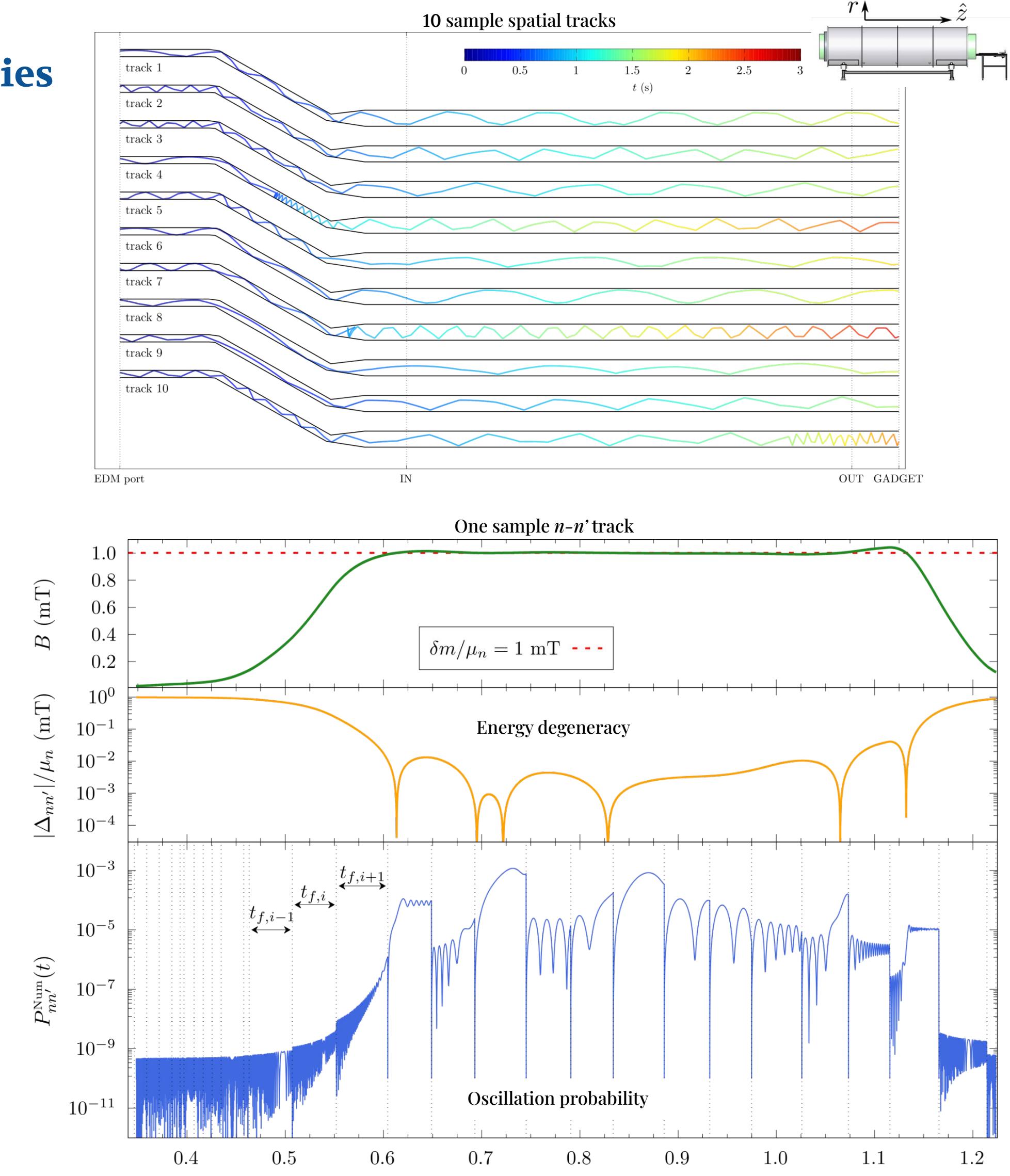
- PSA based on the total PMT voltage amplitudes (A_{gr}) and the pulse shape (PS) parameter
- Single gas filling allows characterization of background events
- Background presence in UCN₁ category < **0.01 %**

5. Magnetic field inhomogeneities

- UCN do not experience a single B-field
- Trajectories computed from MC simulations ^c
- Numerical solution of the Schrödinger equation describing $n-n'$ oscillations

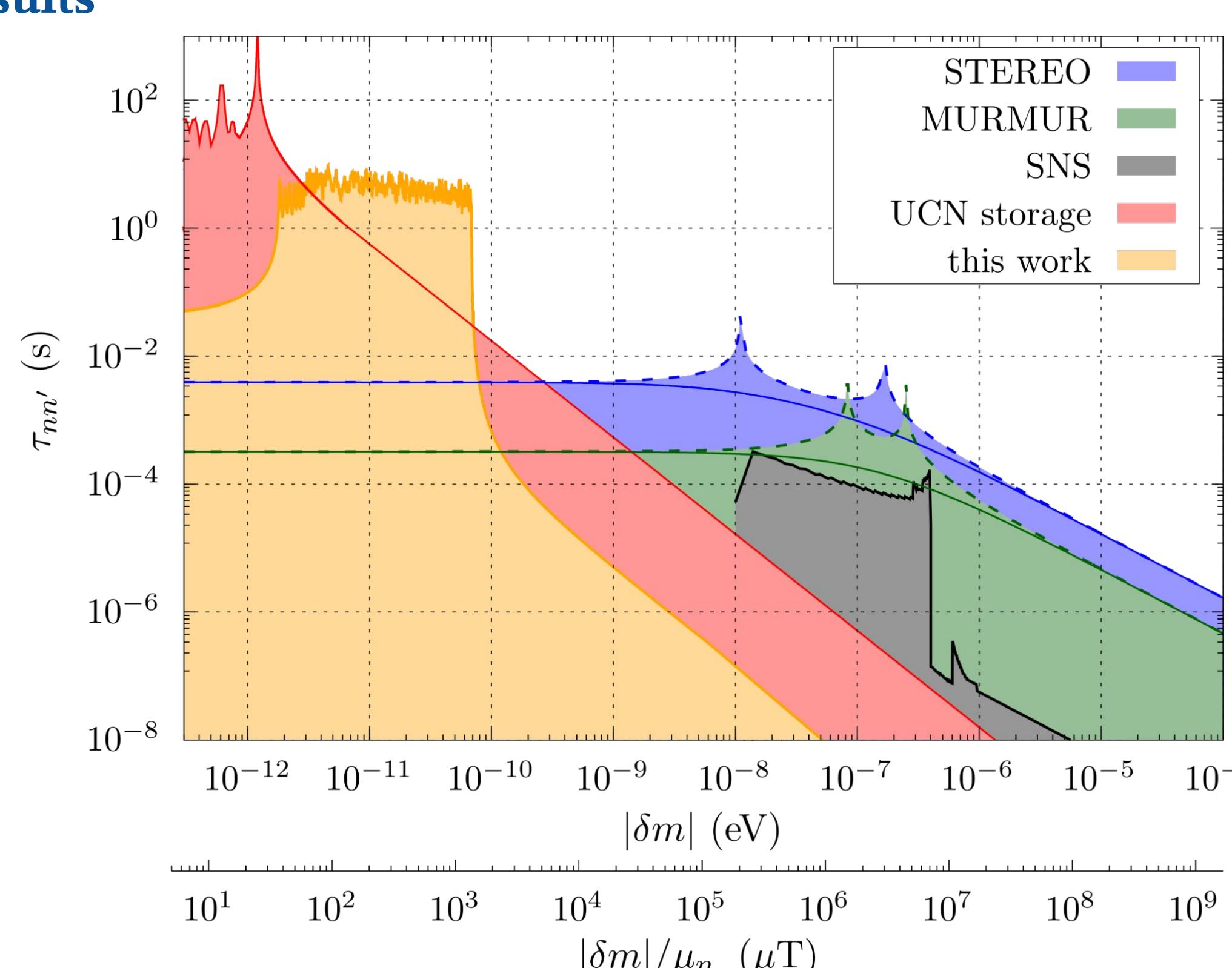
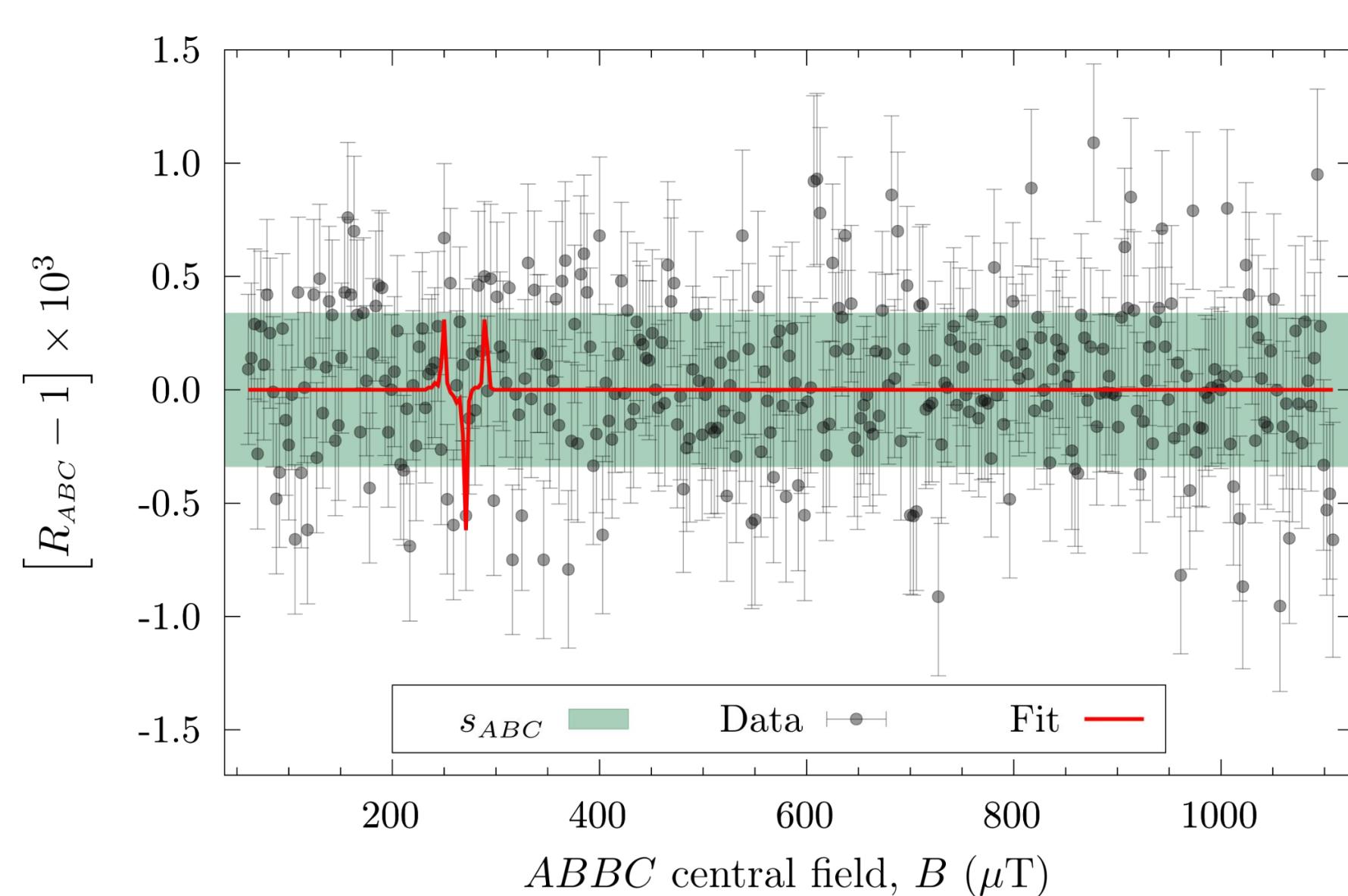
$$\frac{\partial}{\partial t} \hat{\rho} = -i[\hat{\mathcal{H}}_{nn'}, \hat{\rho}] = -i\hat{\mathcal{H}}_{nn'}\hat{\rho} + i\hat{\rho}\hat{\mathcal{H}}_{nn'}^\dagger$$

$$\hat{\mathcal{H}}_{nn'} = \begin{pmatrix} \mu_n B & 0 & \epsilon_{nn'} & 0 \\ 0 & -\mu_n B & 0 & \epsilon_{nn'} \\ \epsilon_{nn'} & 0 & \delta m & 0 \\ 0 & \epsilon_{nn'} & 0 & \delta m \end{pmatrix}$$



6. Results

- The normalized UCN flux (R_{ABC}) did not show a significant signal. Best fit: $\chi^2 / \text{NDF} = 343.2 / 348$ ($\chi^2_{\text{null}} / \text{NDF} = 348.5 / 349$)
- A new exclusion region in the (δm , $\tau_{nn'}$) parameter space was defined



7. Conclusions

- UCN beam experiments probed efficient over a wide range of mass splitting
- A new limit to the oscillations was established:

$$\tau_{nn'} > 1 \text{ s (95 \% C.L.) for } \delta m \in [6 - 72] \text{ peV}$$

- There are still unexplored regions in the parameter space

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^aarXiv:1707.04591

^barXiv:2206.08721

^cB. Clément, STARucn