

Towards growth-rate measurements with DESI + ZTF

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Plan

Why growth-rate measurements at low-redshift?


How to measure growth-rate with galaxies and peculiar velocities?

Methods and state-of-the-art

What data DESI and ZTF are providing us?

Forecasts

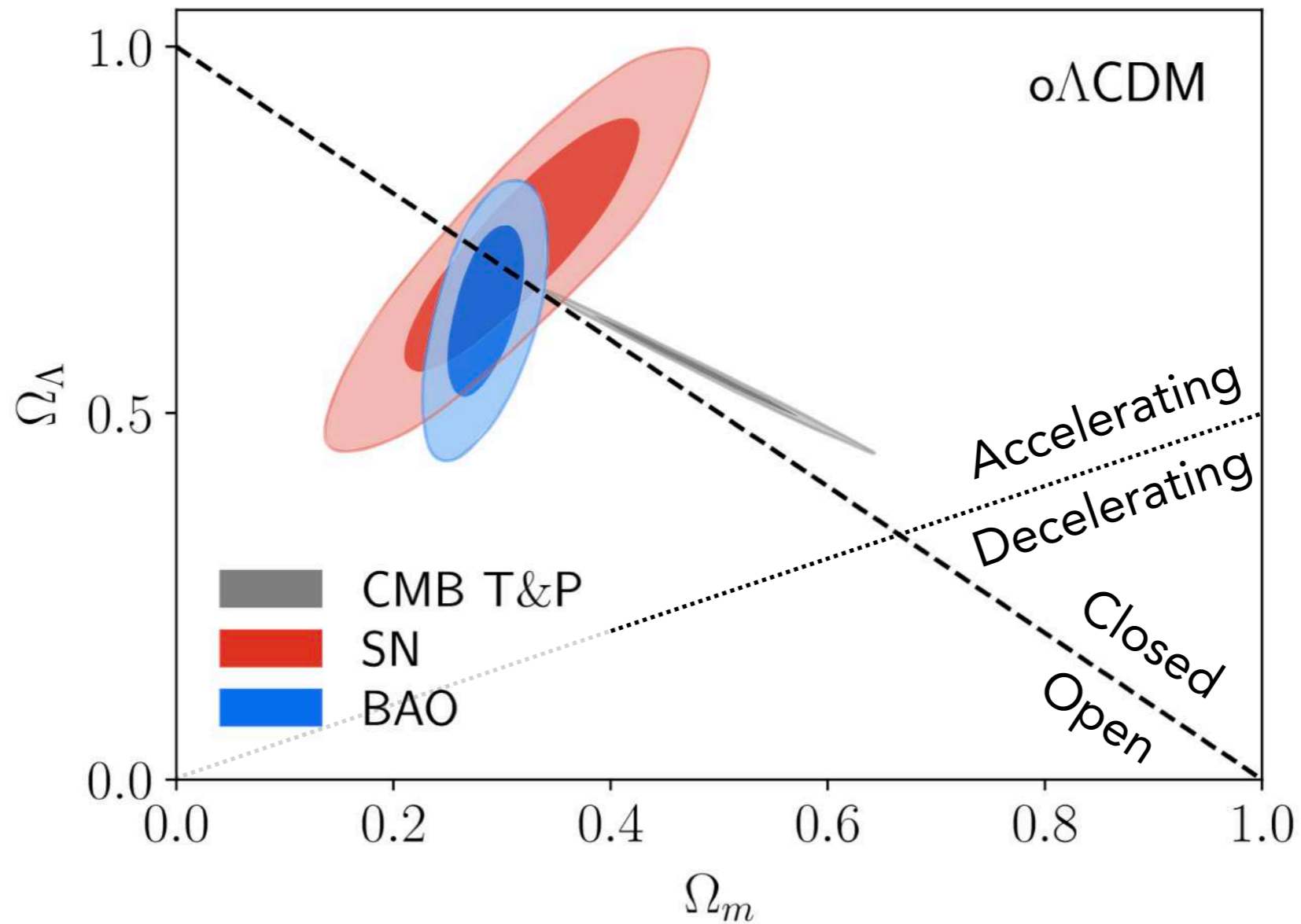
Challenges and work in progress

A scenic view of a rugged coastline with steep, light-colored rock cliffs overlooking a deep blue sea under a clear sky. The text "Why growth-rate measurements at low-redshift?" is overlaid in the center of the image.

Why growth-rate measurements at low-redshift?

Universe's expansion is **accelerating** as seen by SN + BAO + CMB

Dark energy as a cosmological constant

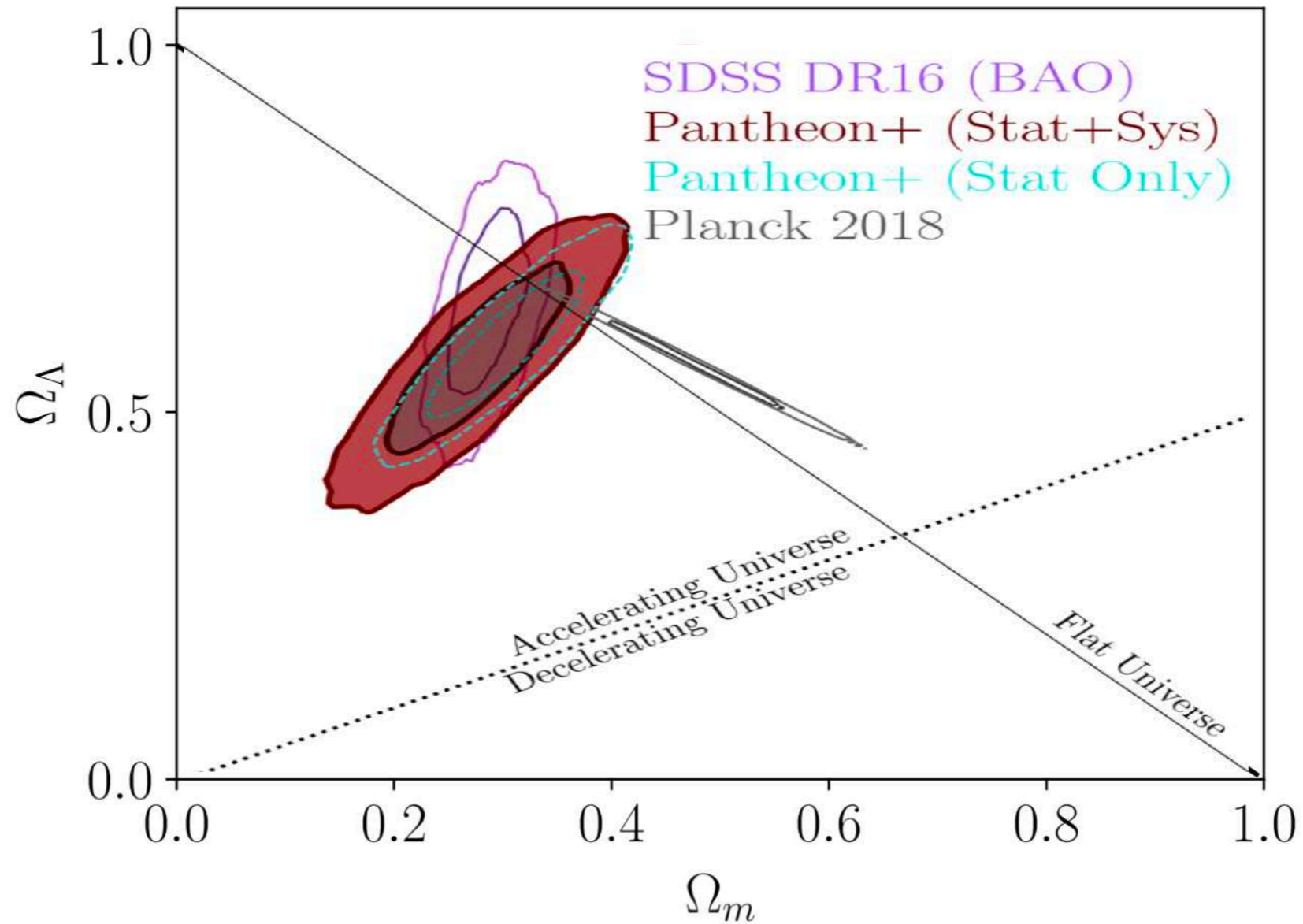


eBOSS Collaboration 2021

Acceleration requires dark energy

Universe's expansion is **accelerating** as seen by SN + BAO + CMB

Dark energy as a cosmological constant

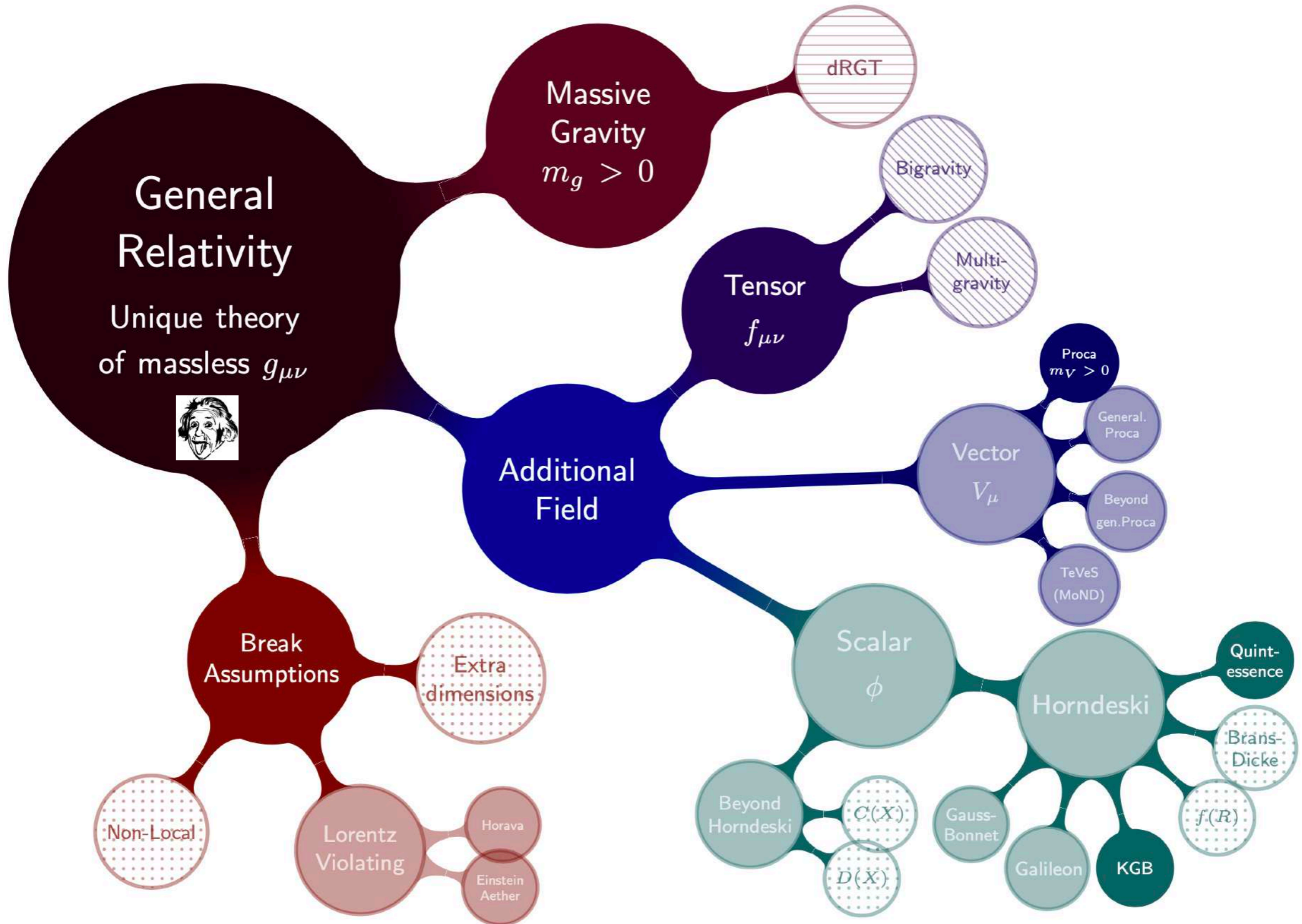


Pantheon+ Brout et al. 2022

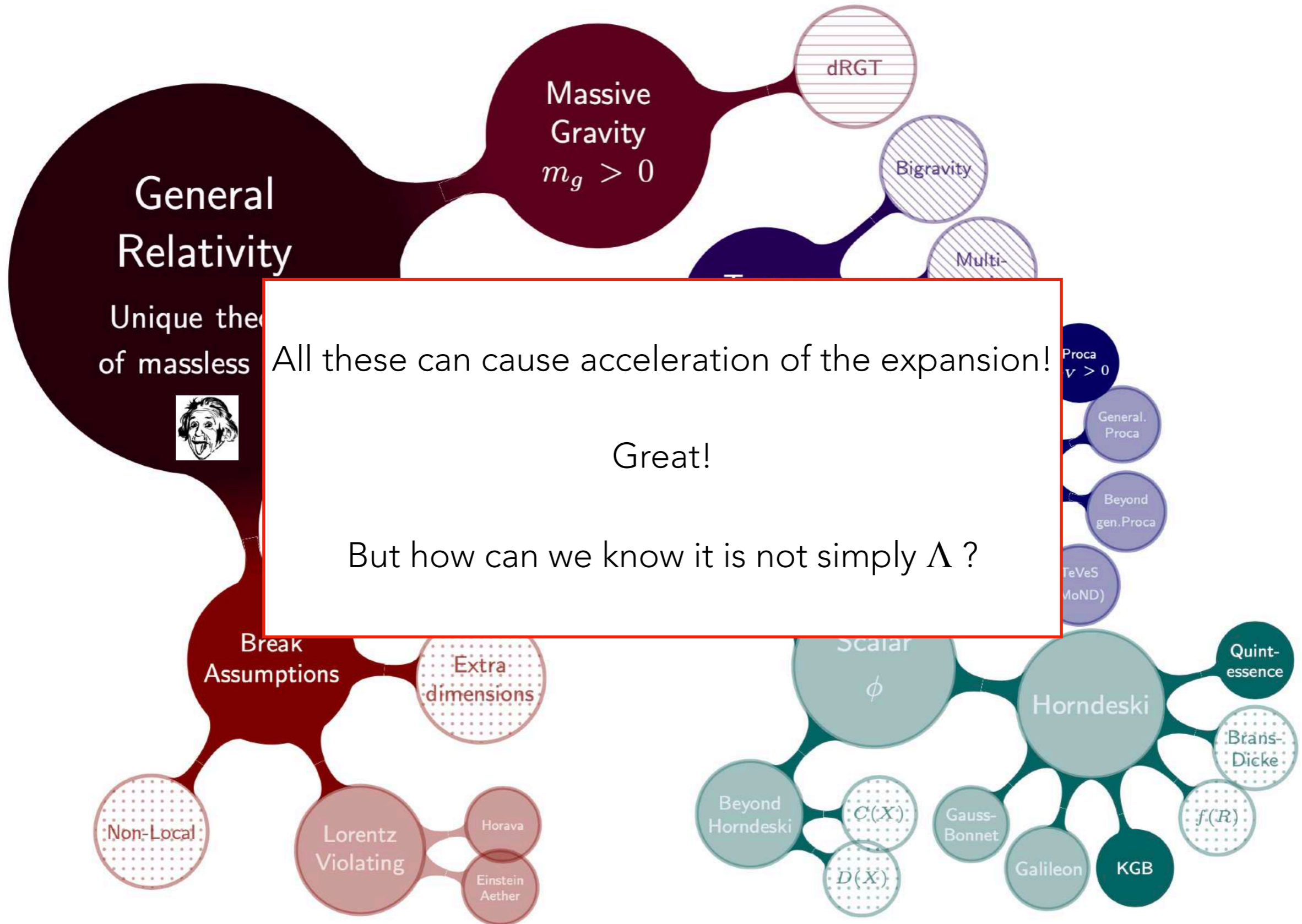
Acceleration requires dark energy

Physically motivated theory ? Alternatives or extensions of General Relativity

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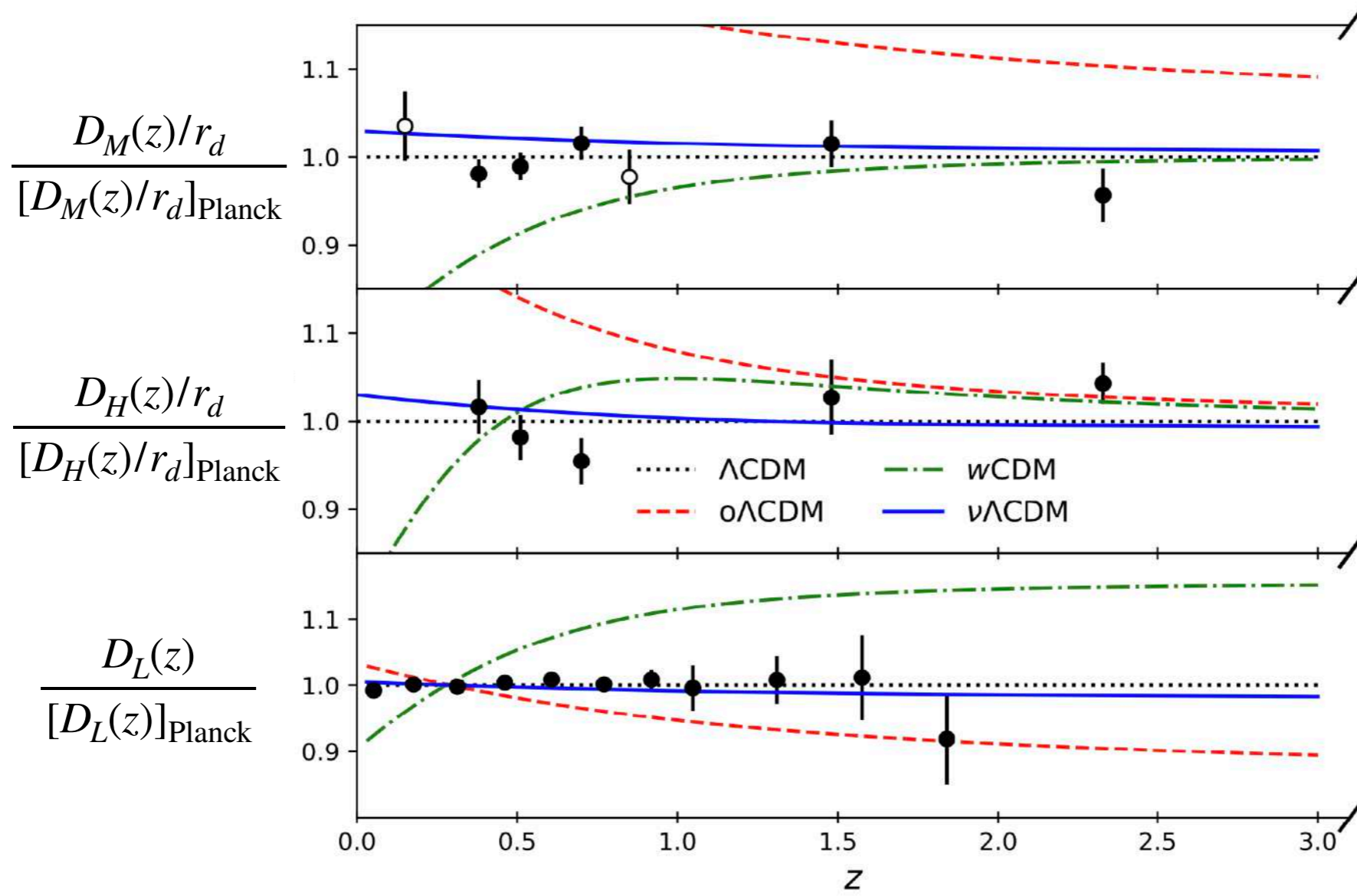


Physically motivated theory ? Alternatives or extensions of General Relativity



BAO

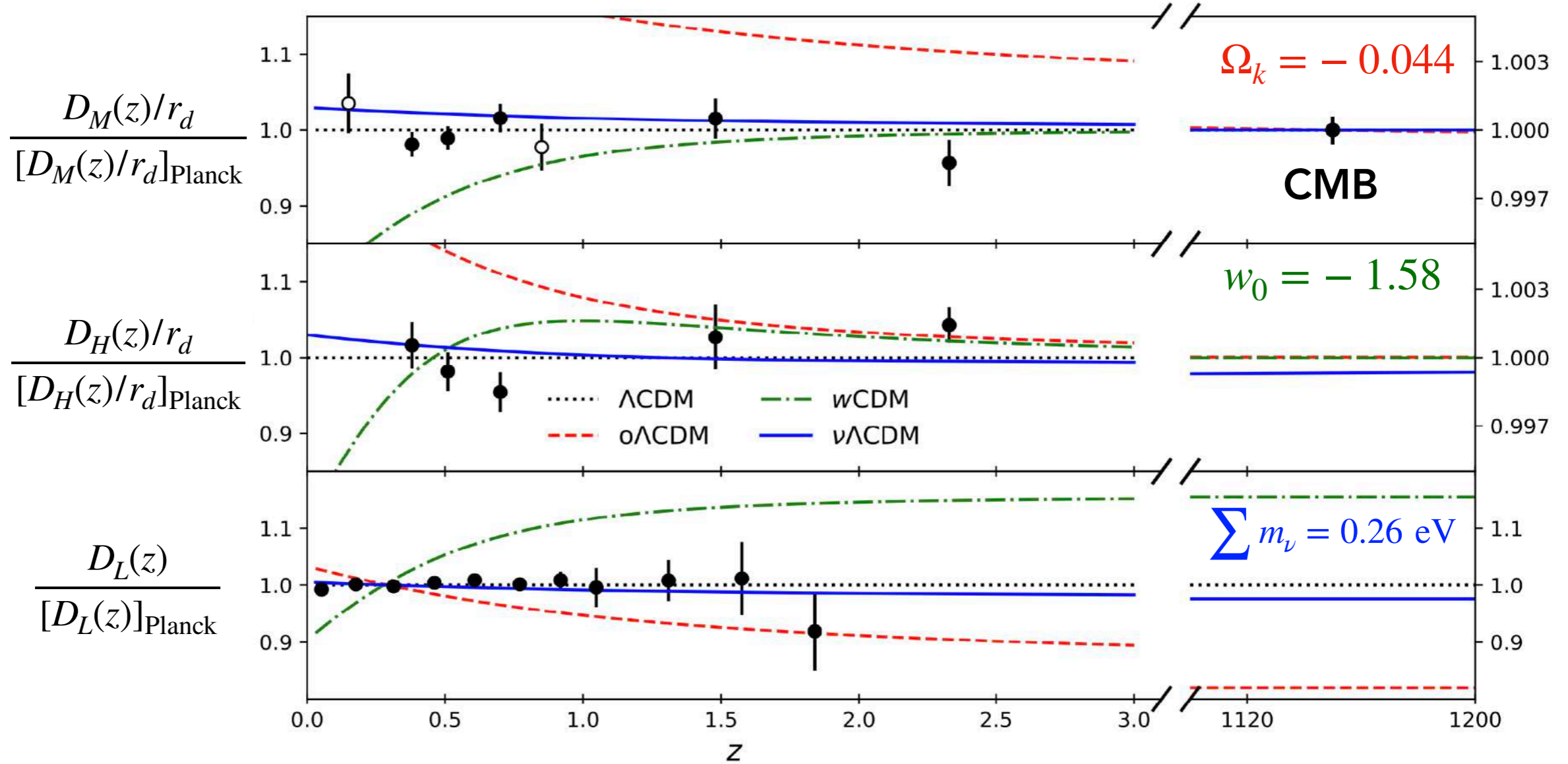
SNIa



RSD can break degeneracy between dark energy or modified gravity models

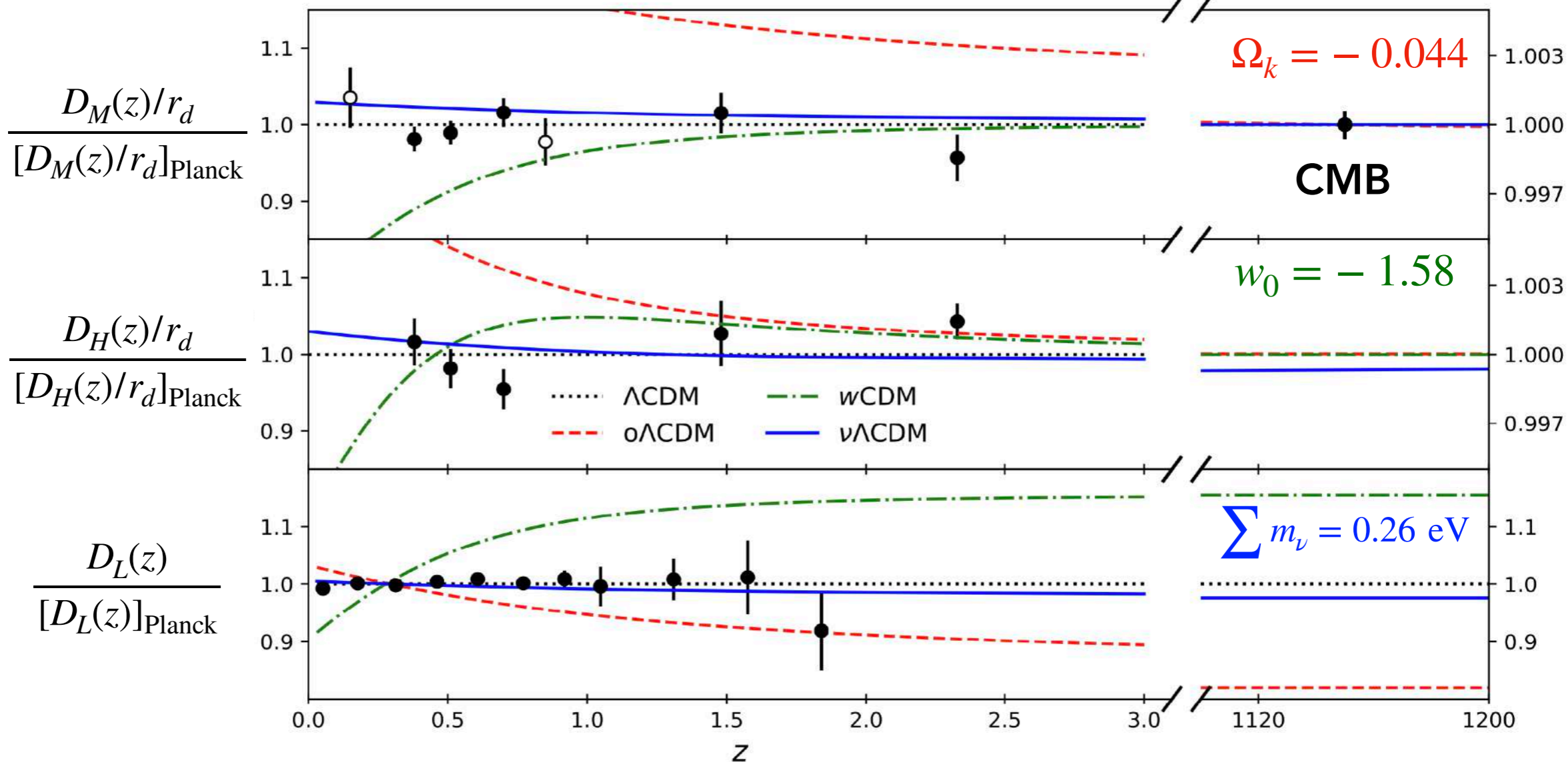
BAO

SNIa

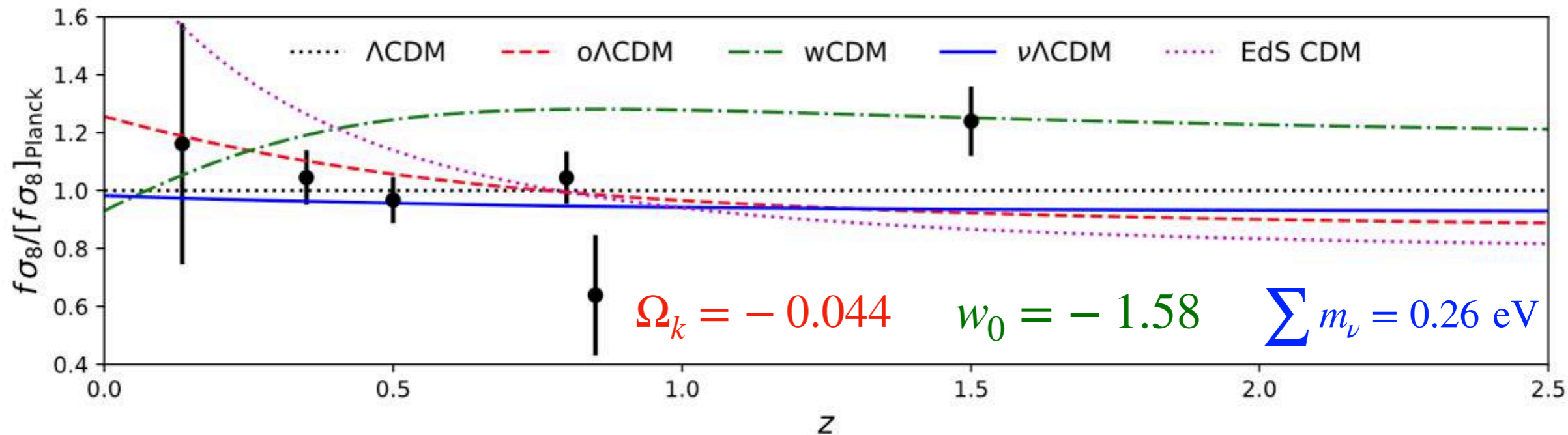


RSD can break degeneracy between dark energy or modified gravity models

BAO

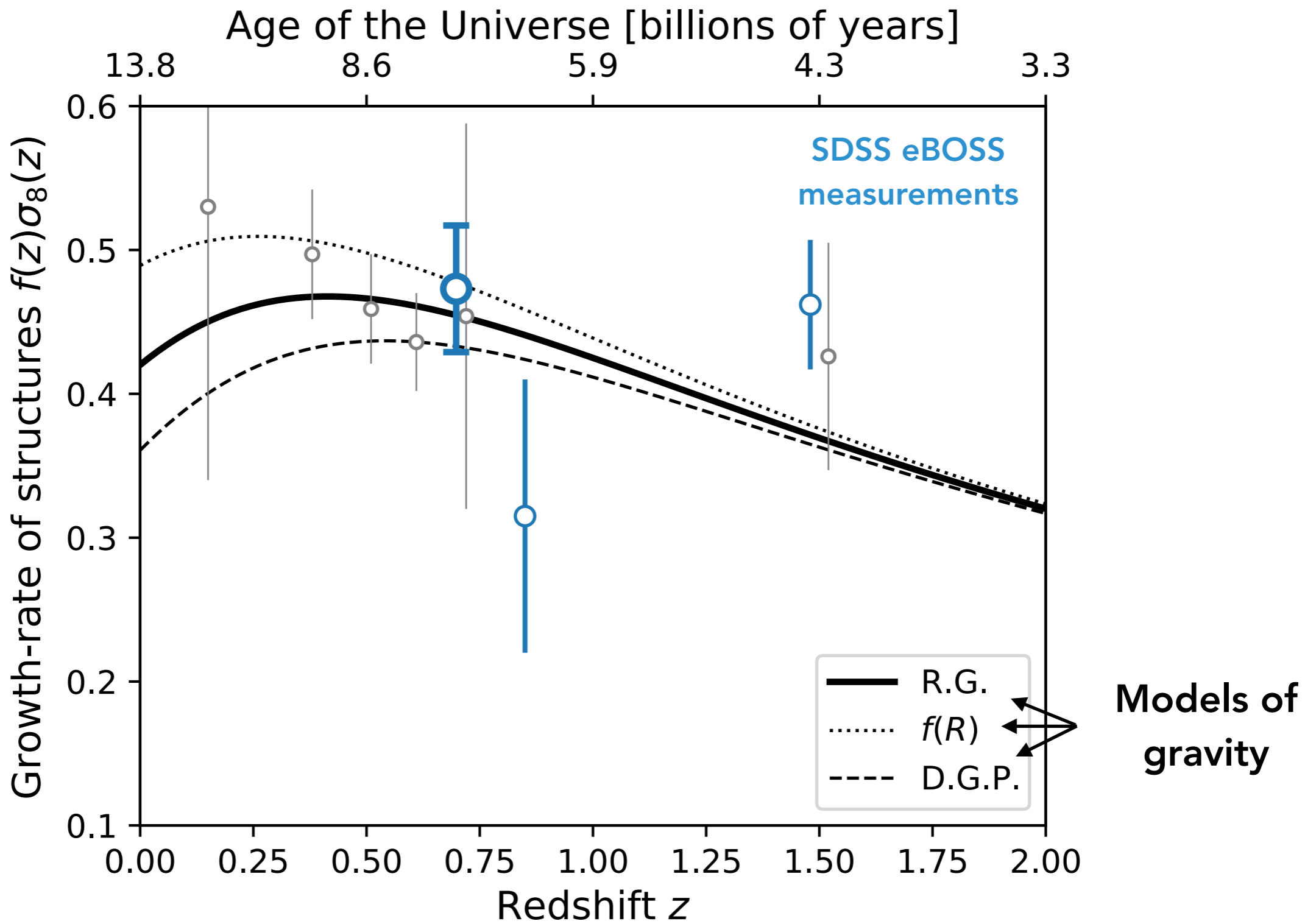


RSD

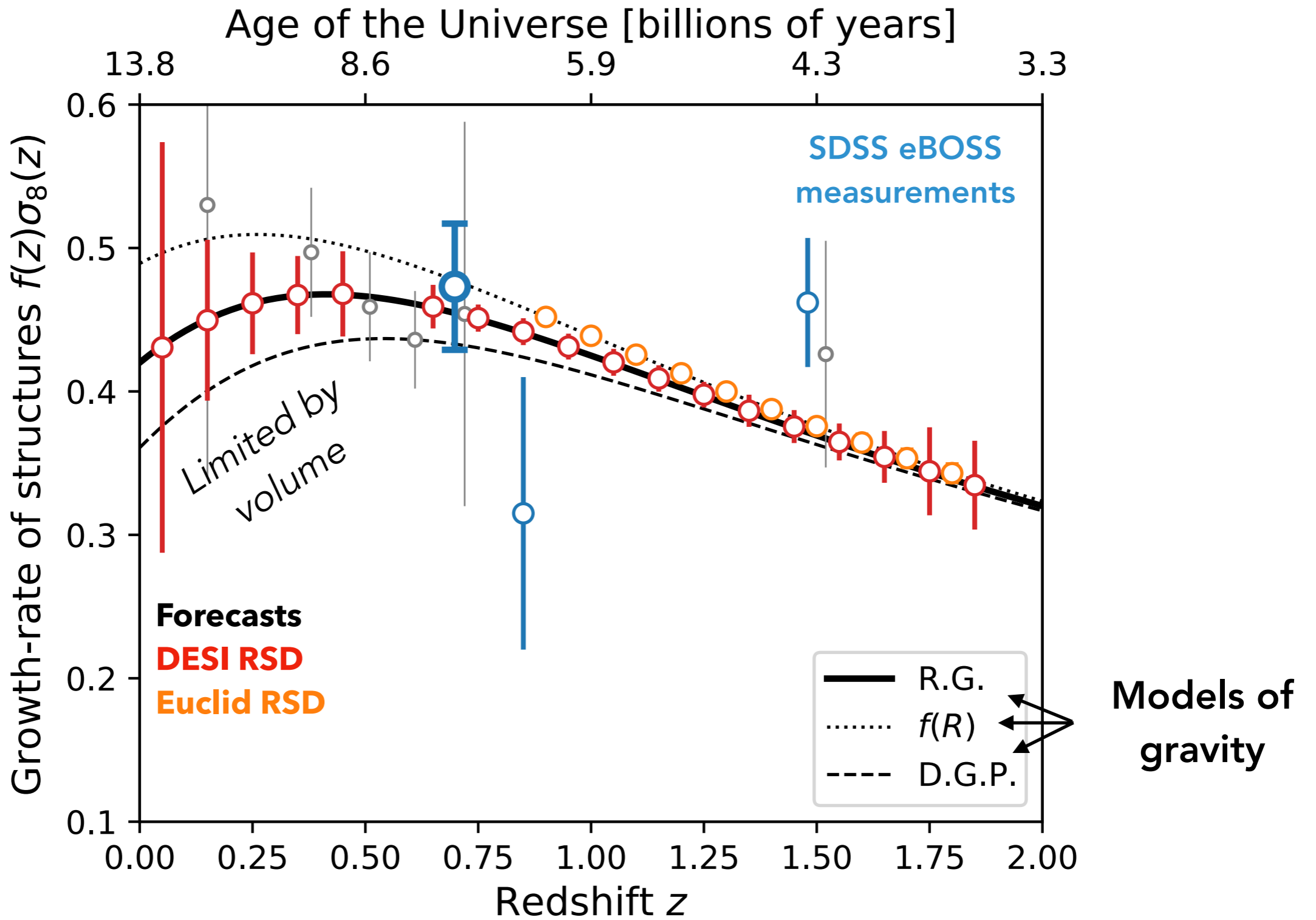


RSD can break degeneracy between dark energy or modified gravity models

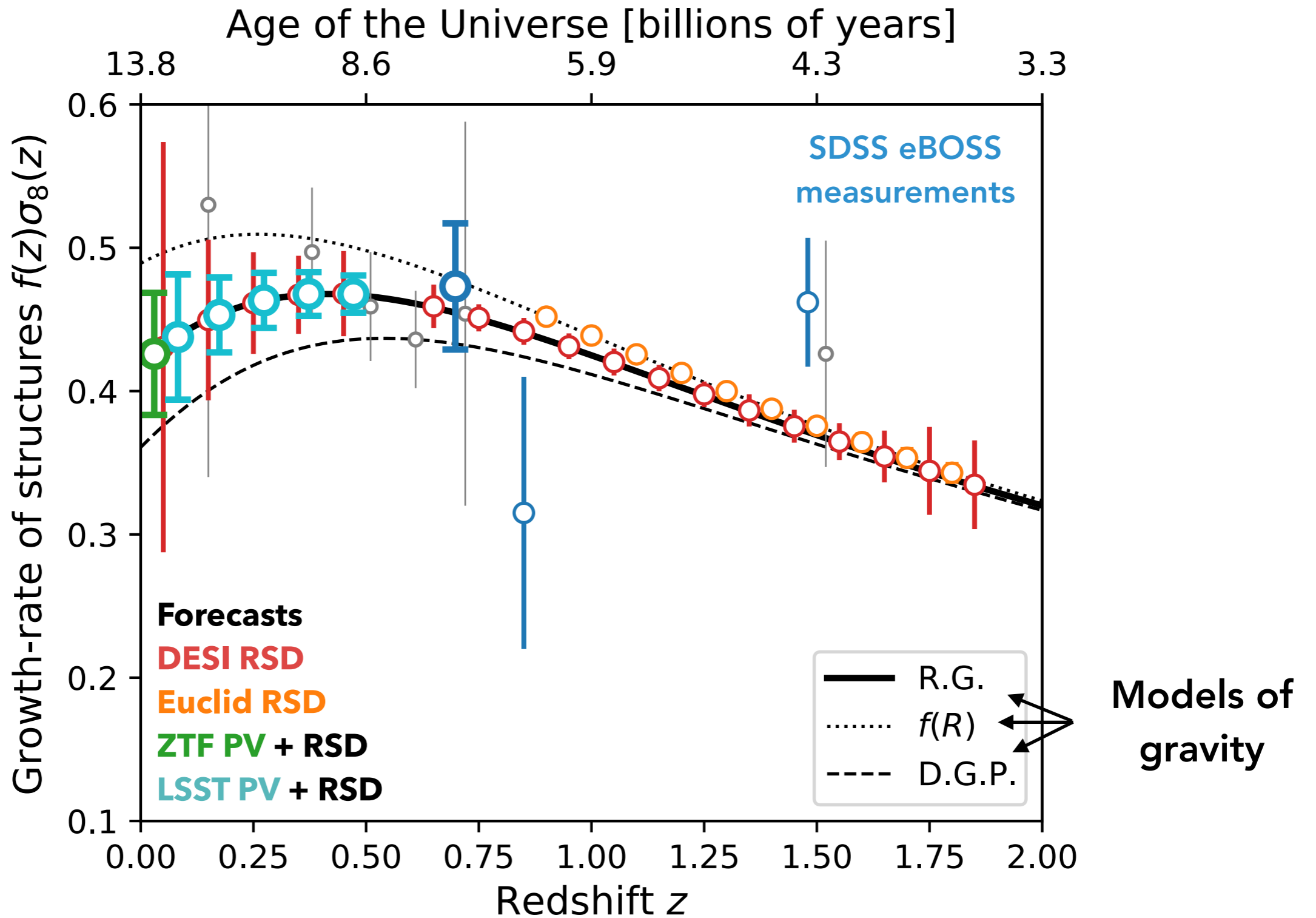
Measurements of growth-rate of structures




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Measurements of growth-rate of structures

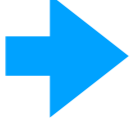


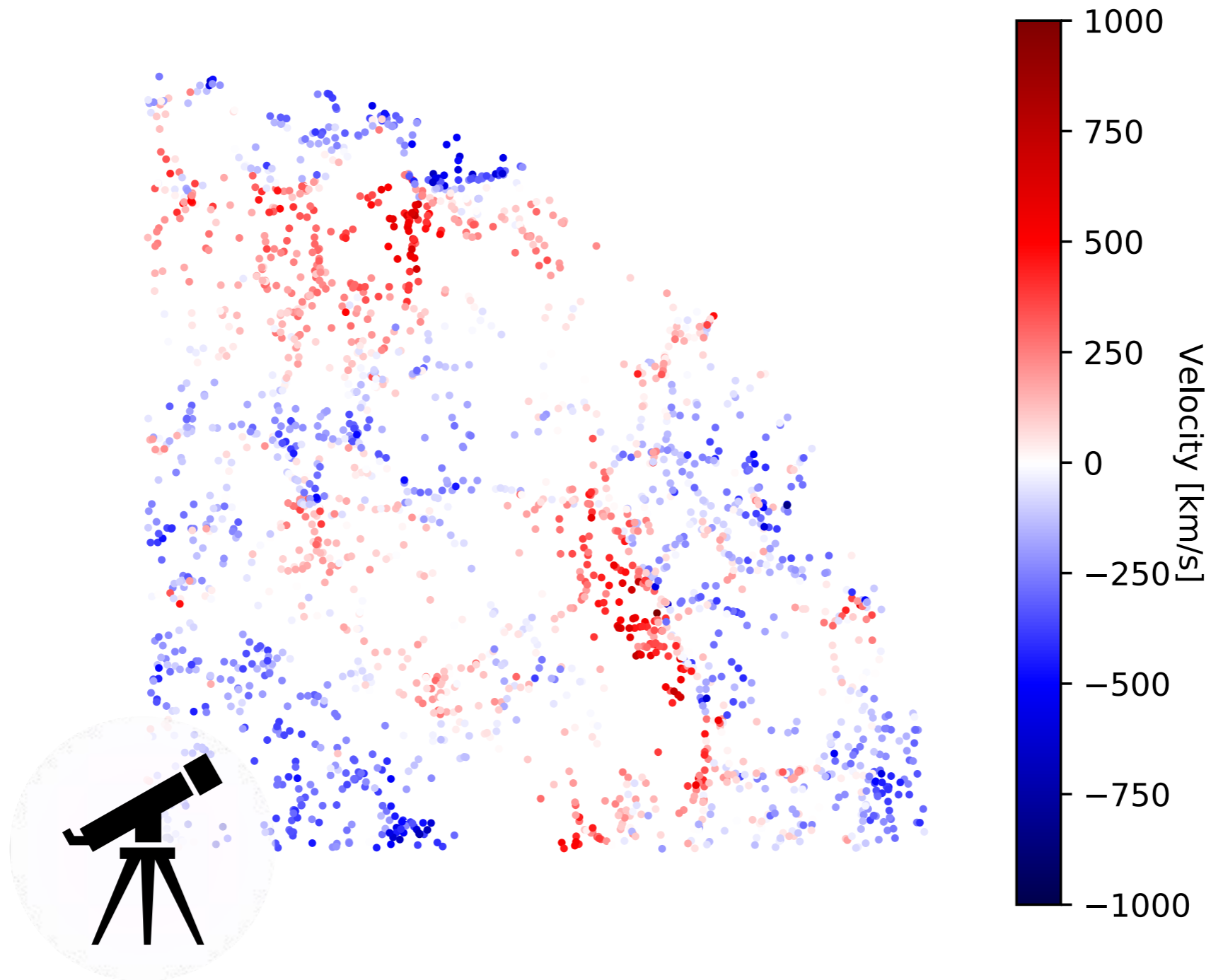
Significant improvement at low- z when adding **peculiar velocities** !



How to measure growth-rate with galaxies and peculiar velocities?
Methods and state-of-the-art

Observables

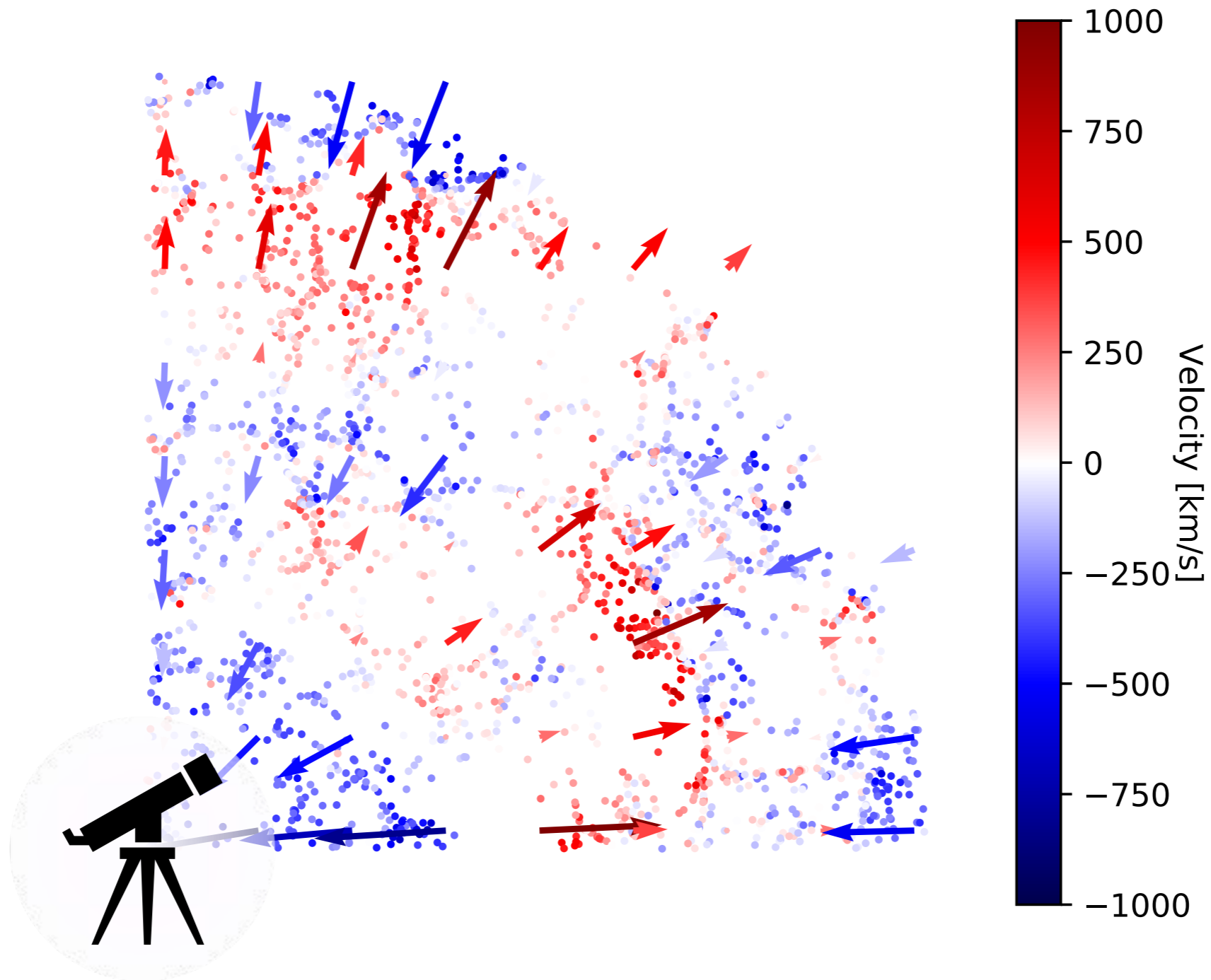
Redshift survey  Density field
 RA_i, Dec_i, z_i $\delta_g(\vec{s})$



Observables

Redshift survey \rightarrow Density field
 RA_i, Dec_i, z_i $\delta_g(\vec{s})$

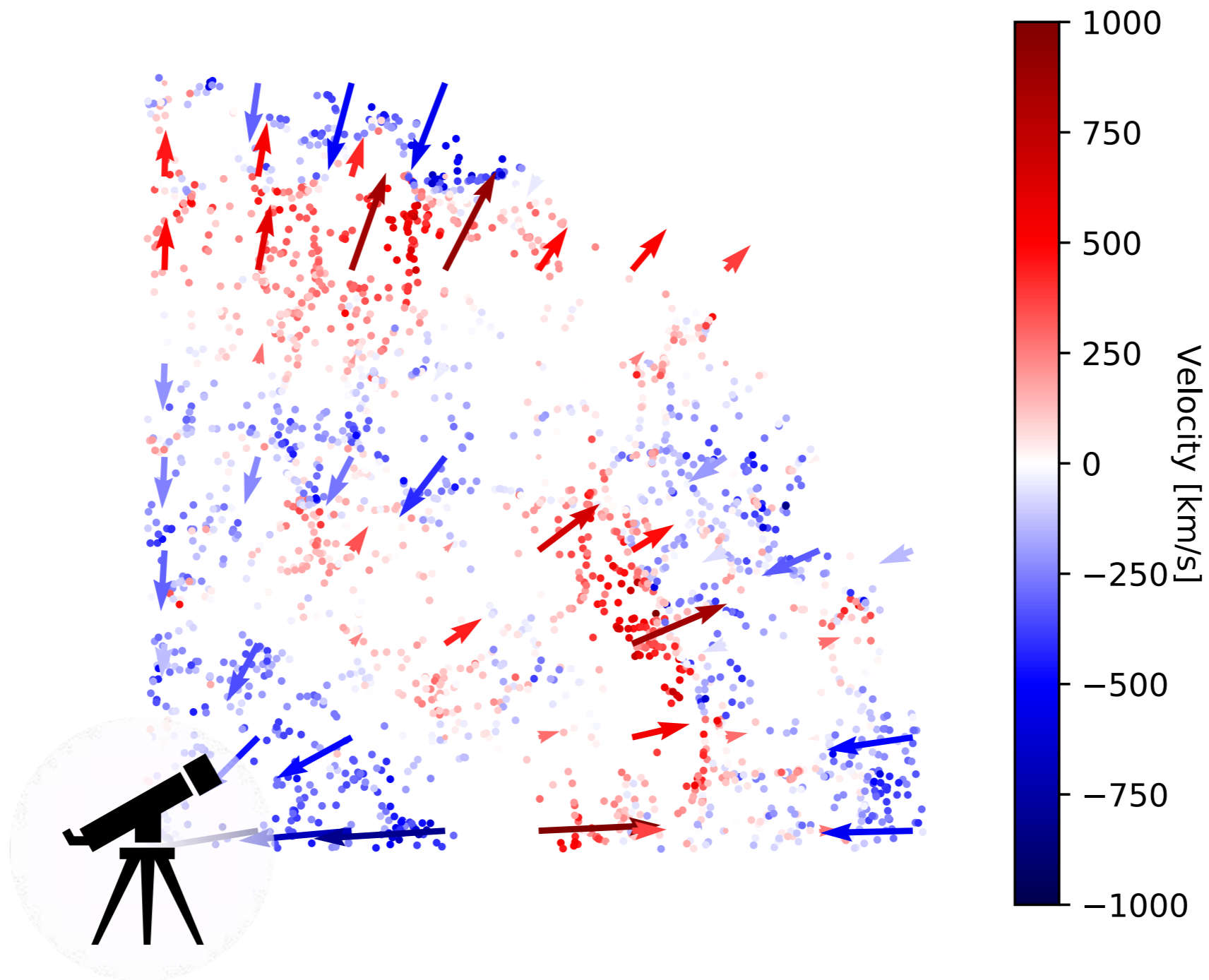
Distance survey \rightarrow Radial velocity field
 RA_j, Dec_j, z_j, D_j $v_r(\vec{s})$



Observables

Redshift survey \rightarrow Density field
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Distance survey \rightarrow Radial velocity field
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How to measure peculiar velocities?

How to measure peculiar velocities?

Tully-Fisher

Fundamental plane

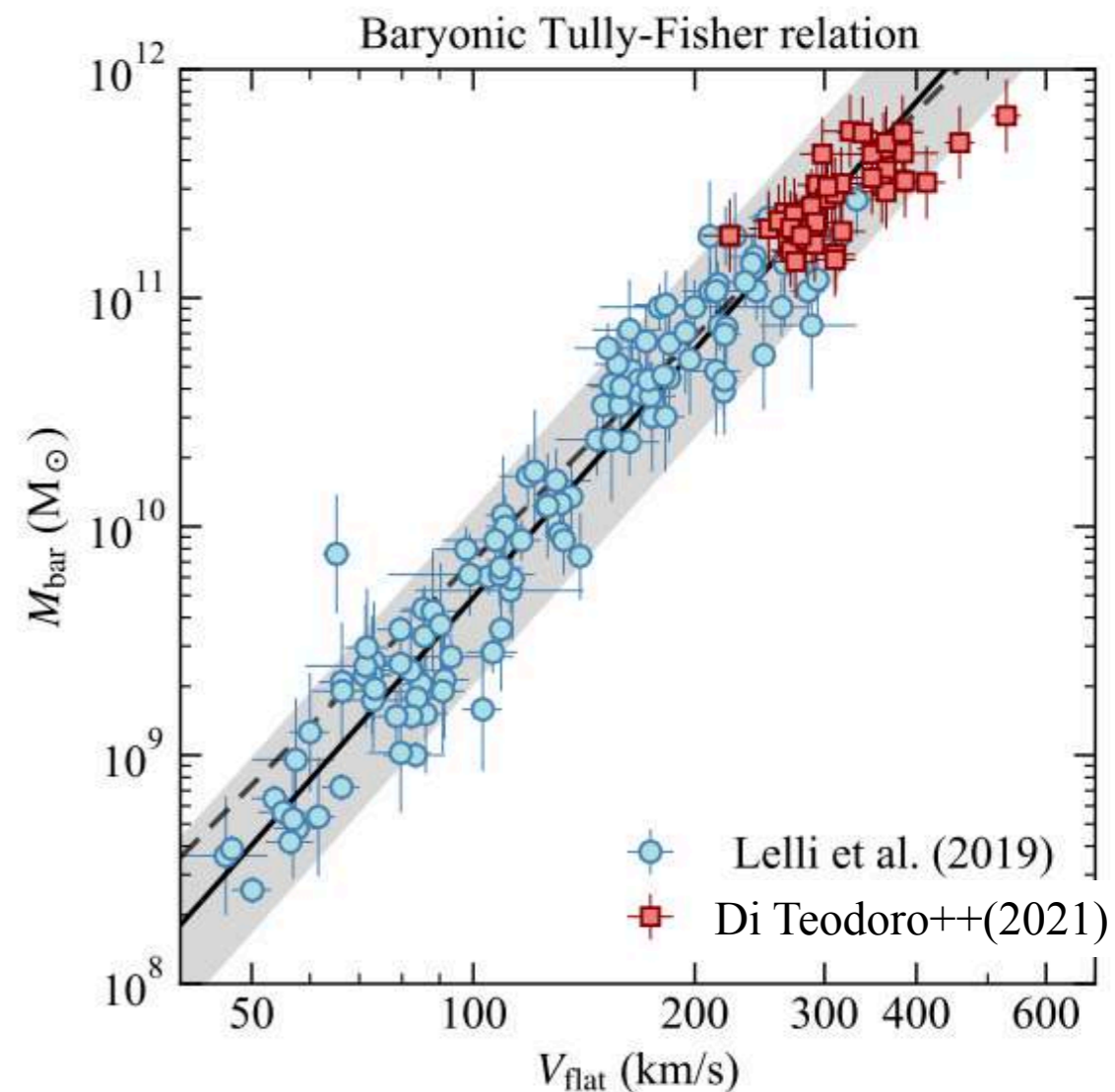
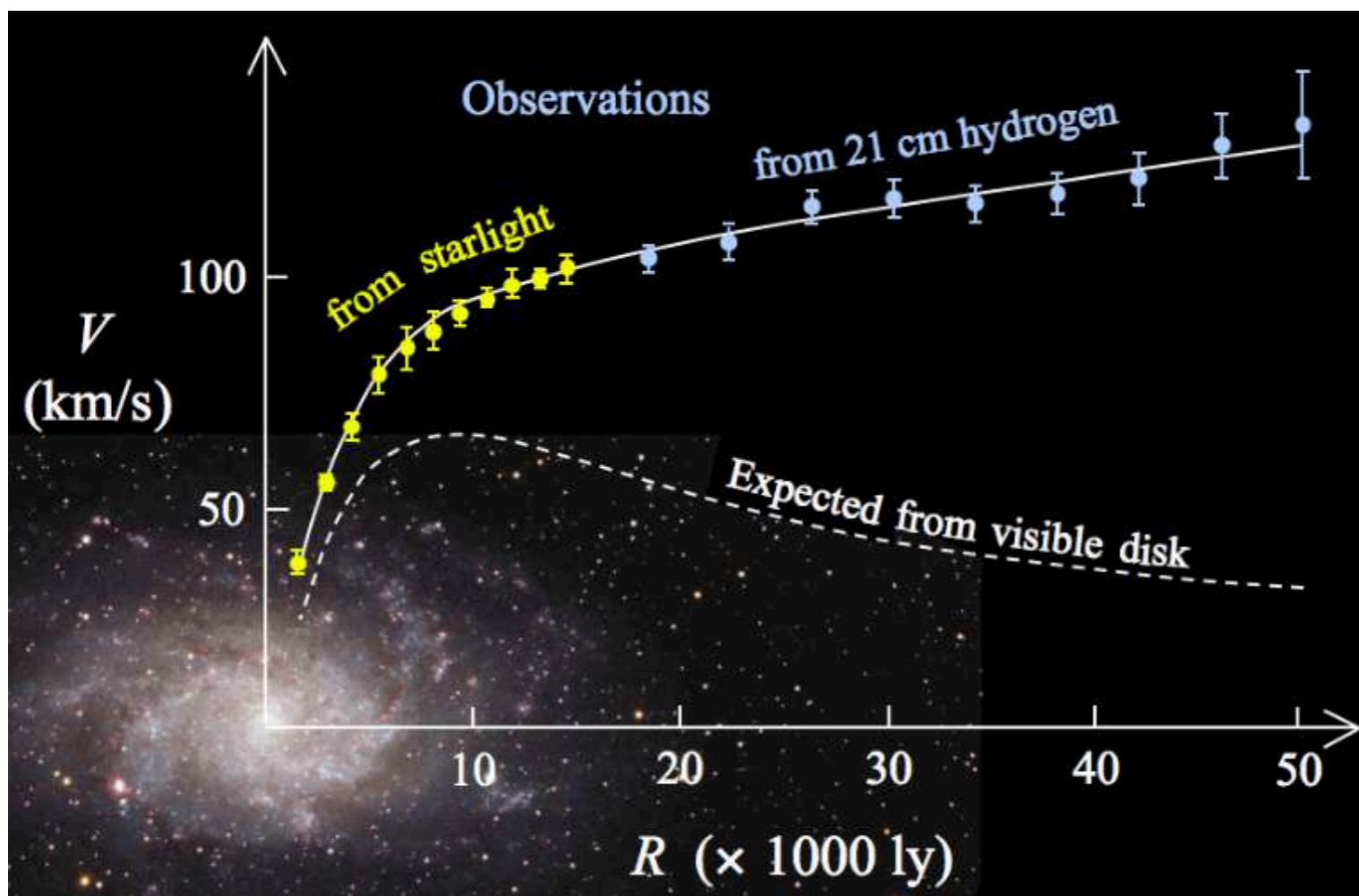
Type-Ia supernova

How to measure peculiar velocities?

Tully-Fisher

Fundamental plane

Type-Ia supernova



Relation between asymptotic

rotational velocity

and

luminosity

Distance

independent

Distance

dependent

Largest catalogue to date: $\sim 10\text{k}$ distances CosmicFlows4

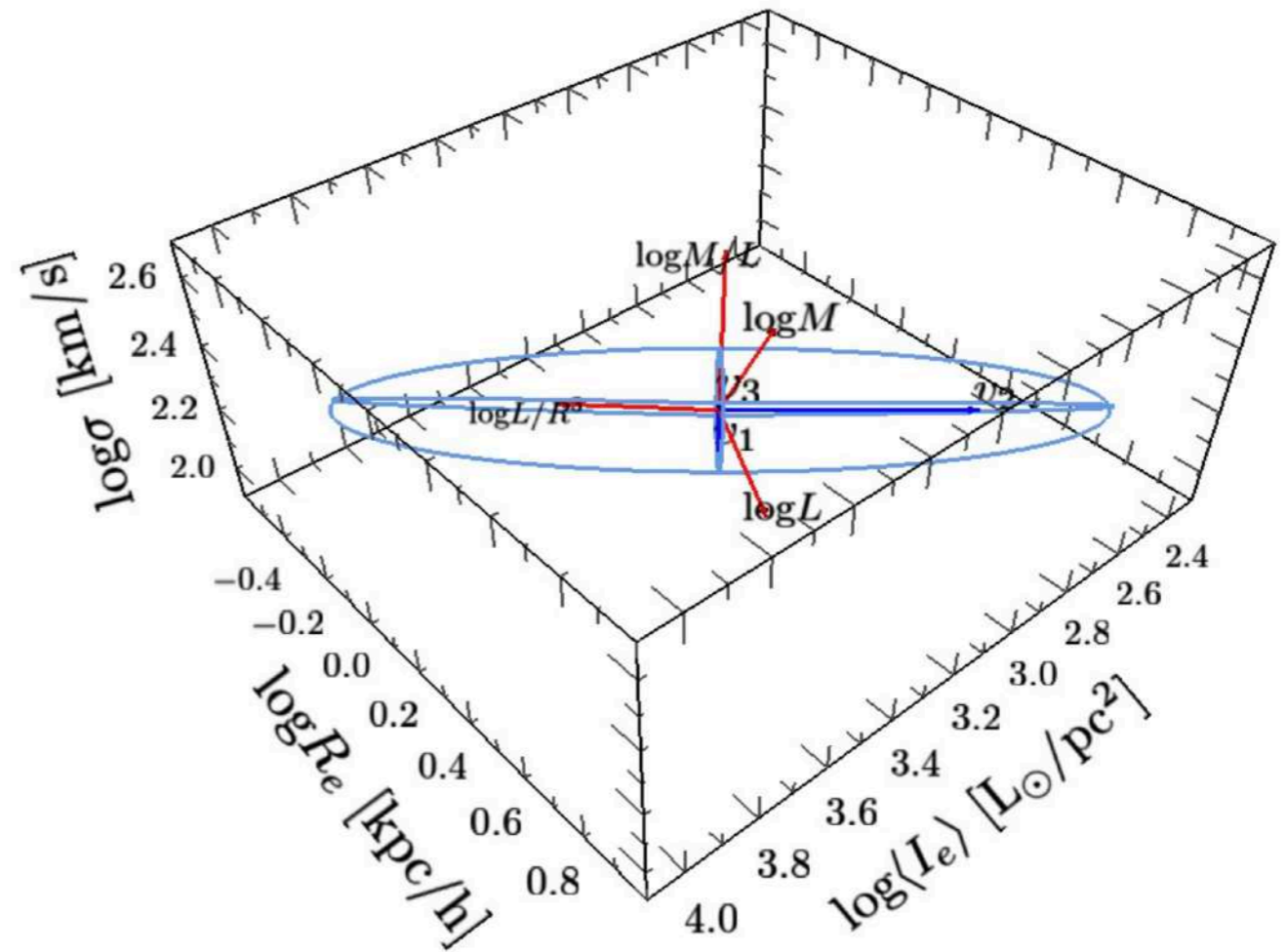
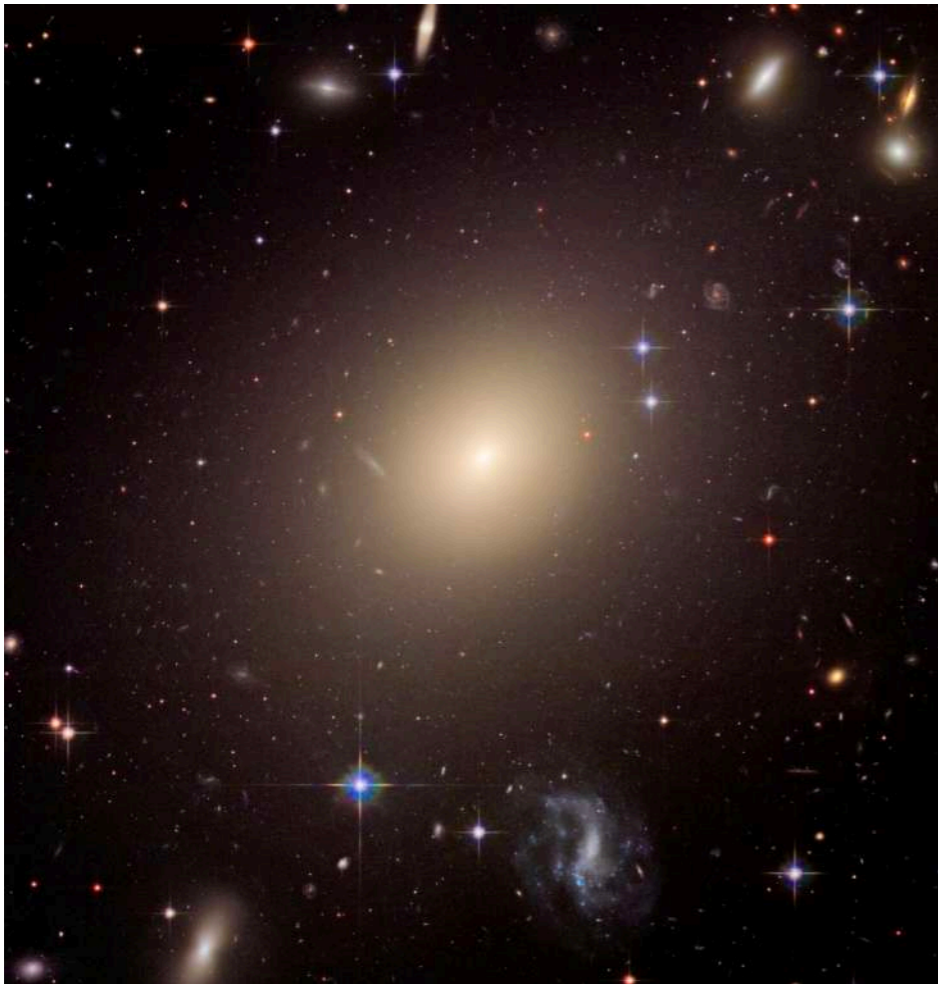
(Kourkchi et al. 2022, Tully et al. 2022)

How to measure peculiar velocities?

Tully-Fisher

Fundamental plane

Type-Ia supernova



Relation between **velocity dispersion, surface brightness** and **effective radius**
Distance independent and *Distance dependent*

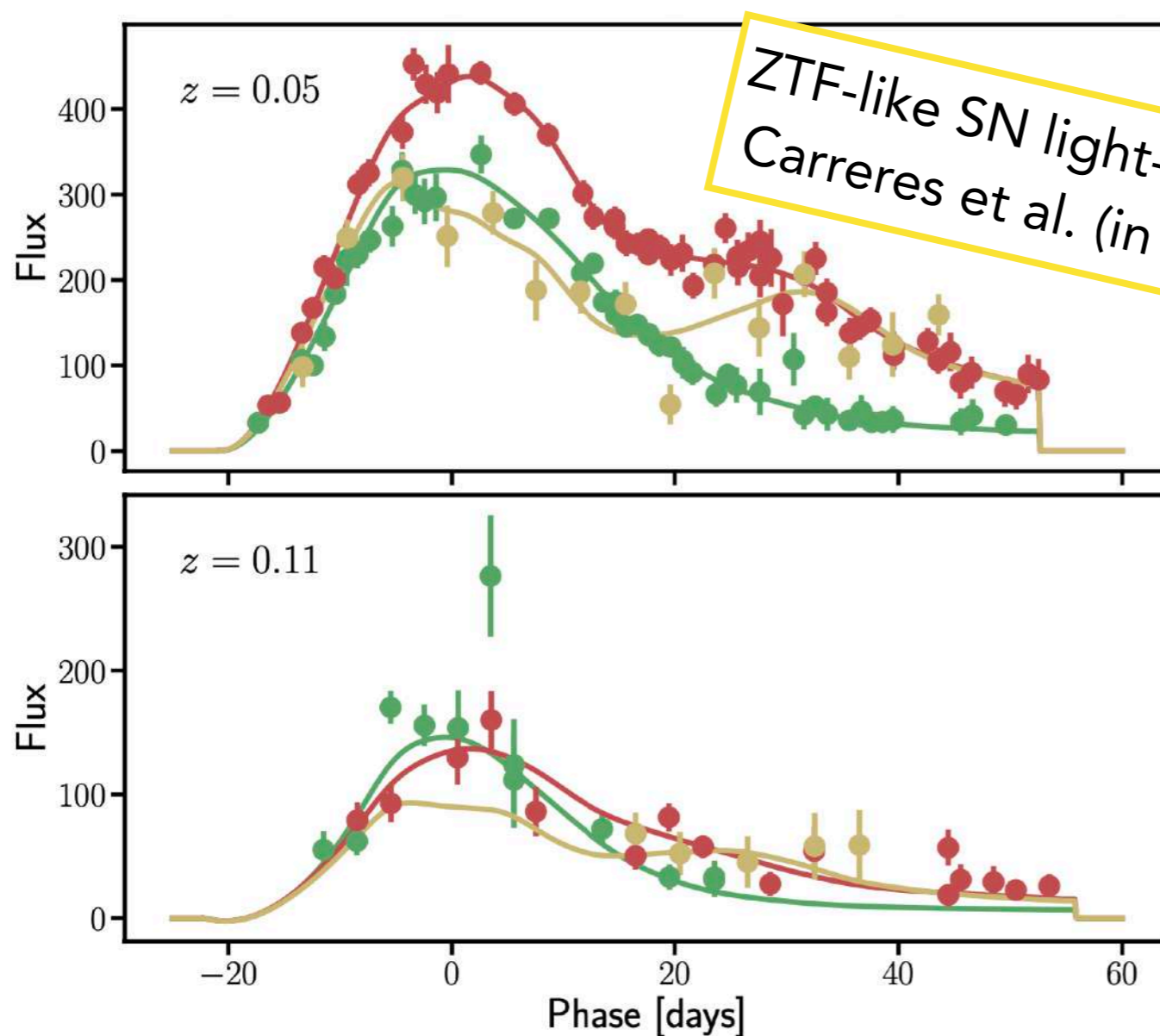
Largest catalogue to date: ~40k distances SDSS ([Howlett et al. 2022](#))

How to measure peculiar velocities?

Tully-Fisher

Fundamental plane

Type-Ia supernova



stretch + colour + redshift



magnitude at peak

Relation between **light-curve shape** and

light-curve shape
Distance independent

magnitude at peak brightness
Distance dependent

Largest catalogue to date: 1550 distances (Pantheon+)

How to measure peculiar velocities?

Tully-Fisher

Loads of galaxies

Needs several
spectra / galaxy

Needs asymptotic rotation
(easy radio, harder in optical)

$$\frac{\sigma_D}{D} \sim 20\%$$

WALLABY ~ 30k
DESI ~ 53k

Fundamental plane

Loads of galaxies

One optical
spectrum is enough

Precise
photometry

$$\frac{\sigma_D}{D} \sim 20\%$$

Future datasets

Taipan ~ 50k
DESI ~ 133k

Type-Ia supernova

"Fewer" SNIa

Good photo-cadence
+ spectro follow-up

Precise
photometry

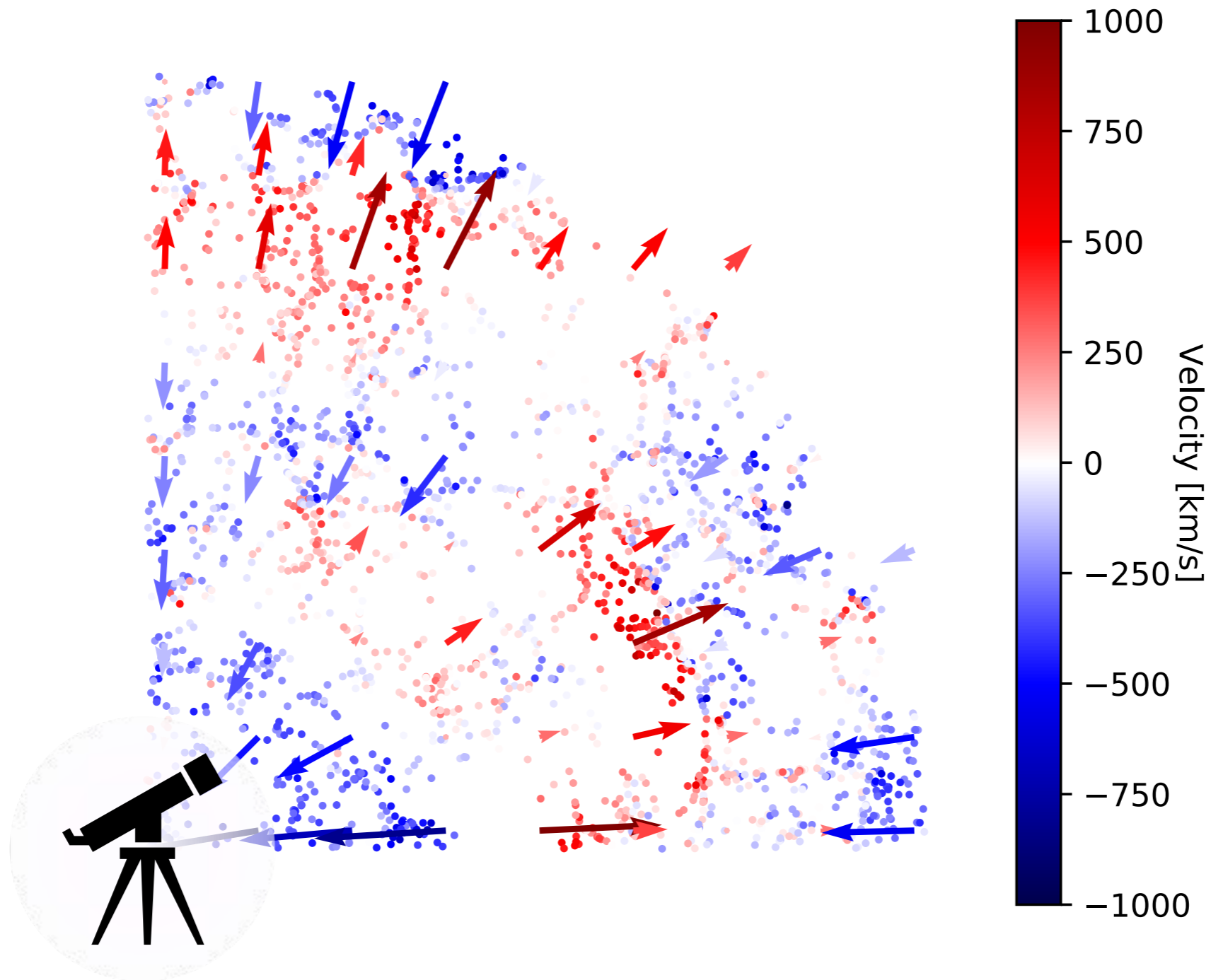
$$\frac{\sigma_D}{D} \sim 7\%$$

ZTF ~ 5k
LSST ~ ? k

Observables

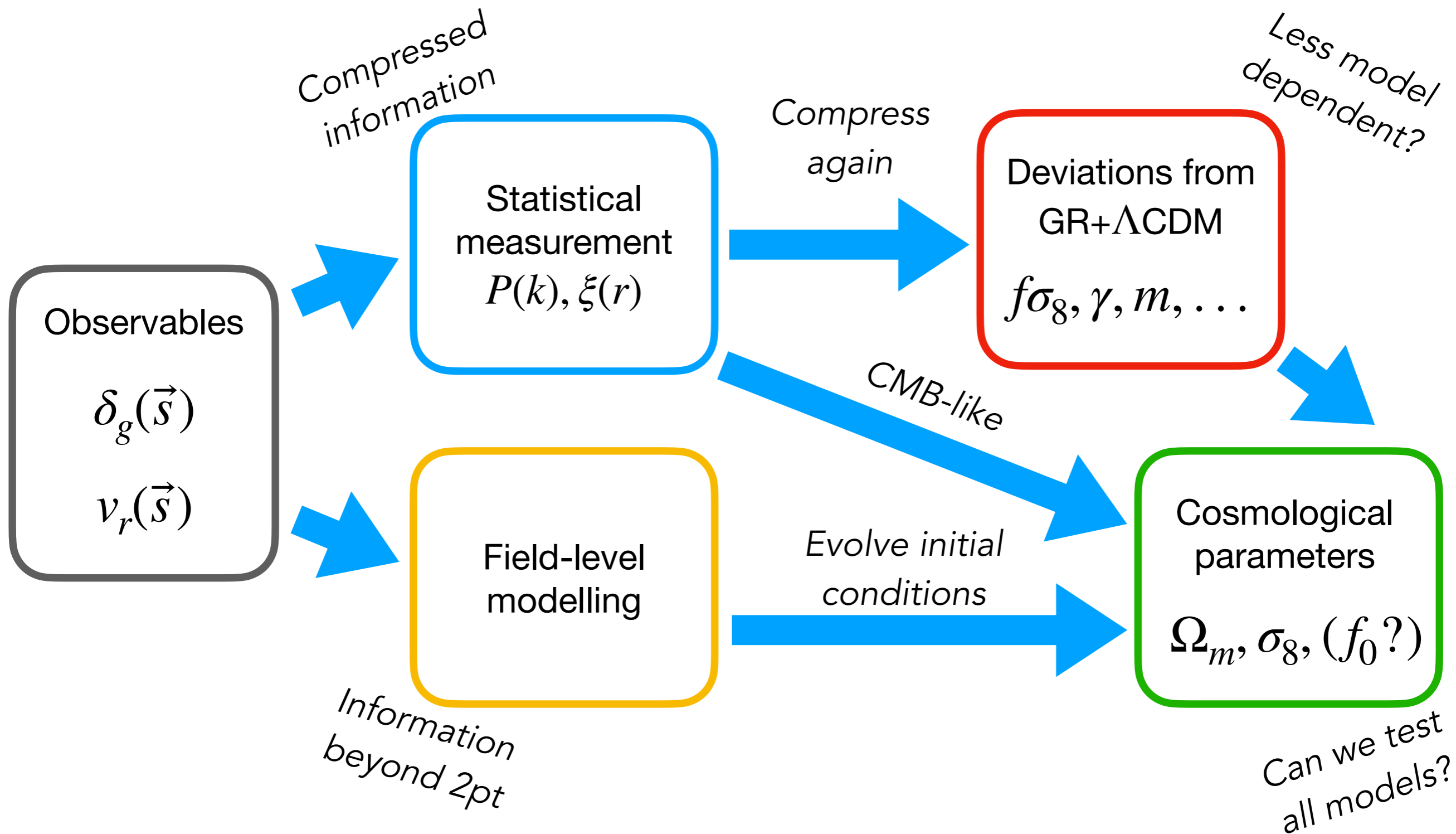
Redshift survey \rightarrow Density field
 RA_i, Dec_i, z_i $\delta_g(\vec{s})$

Distance survey \rightarrow Radial velocity field
 RA_j, Dec_j, z_j, D_j $v_r(\vec{s})$



How to measure growth-rate / cosmology with these observables?

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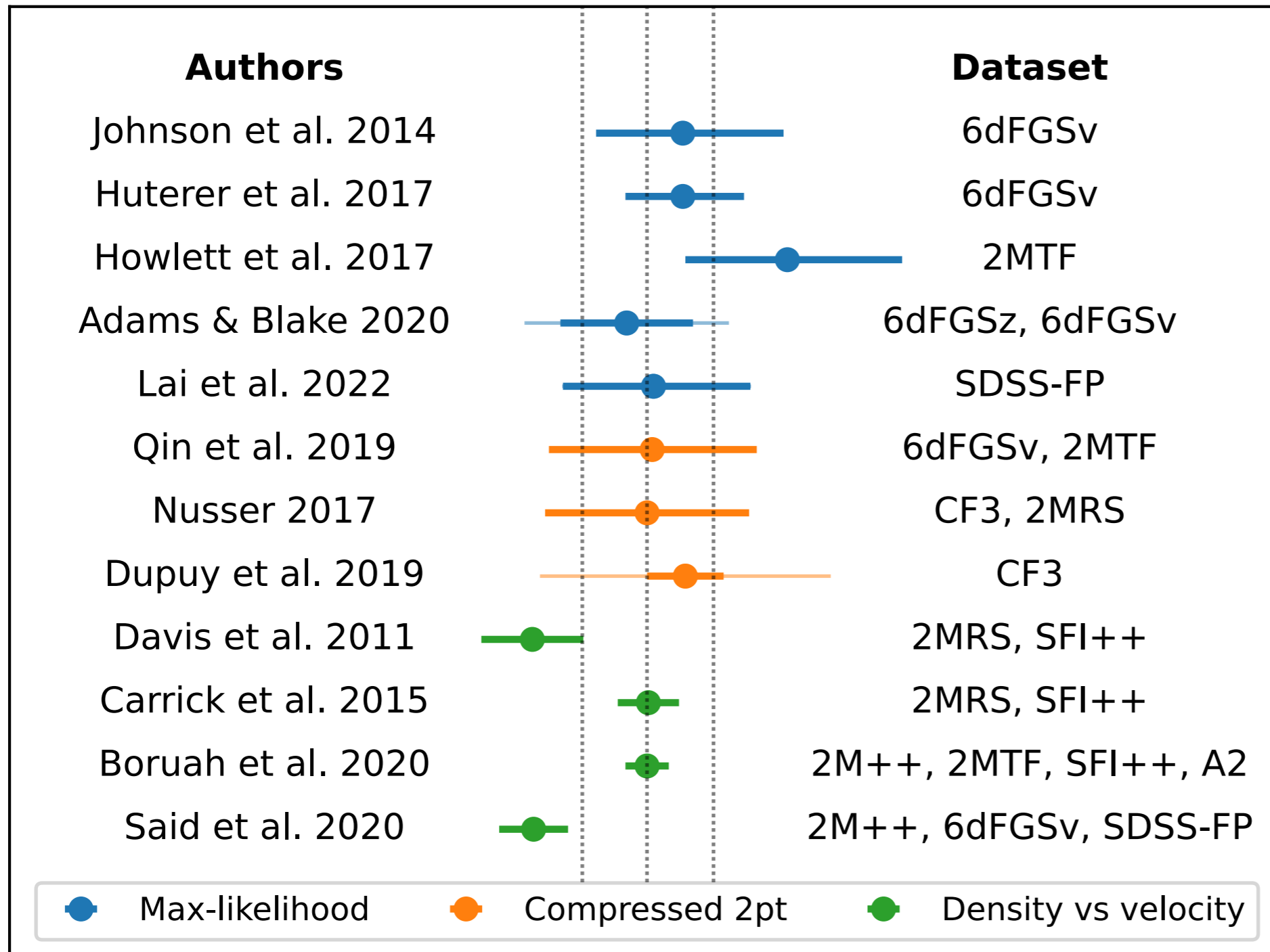


We should try everything !

Methods to exploit densities and velocities

	Data vector	Model	References
Maximum likelihood	Uncompressed 2-pt statistics	2-pt statistics	Johnson++ 2014 Howlett++2017 Adams & Blake 2017/2020 Lai,Howlett,Davis 2022 Carreres,JB++(in prep)
2pt functions $\langle \delta_g \delta_g \rangle, \langle \delta_g p_r \rangle, \langle p_r p_r \rangle$	Compressed 2-pt statistics	2-pt statistics	Ferreira et al. 1999 Dupuy et al. 2019 Turner, Blake, Ruggeri 2021 Howlett et al. 2019 Qin et al. 2020
Density-velocity comparison	Velocity field $v_r(\vec{s})$	Reconstruct $v_r(\vec{s})$ from $\delta_g(\vec{s})$	Davis++2011 Springbob++2014 Carrick++2015 Boruah++2020 Said++2020
Forward-modelling	Both fields $\delta_g(\vec{s}), v_r(\vec{s})$	Evolution from initial conditions	Graziani++2019 Boruah,Hudson,Lavaux 2020 Robert++(in prep)

Current growth-rate measurements at $z < 0.05$



} More information or underestimated?

Not necessarily **smaller** uncertainties, but **better** uncertainties !

What data DESI and ZTF are providing us?
Forecasts



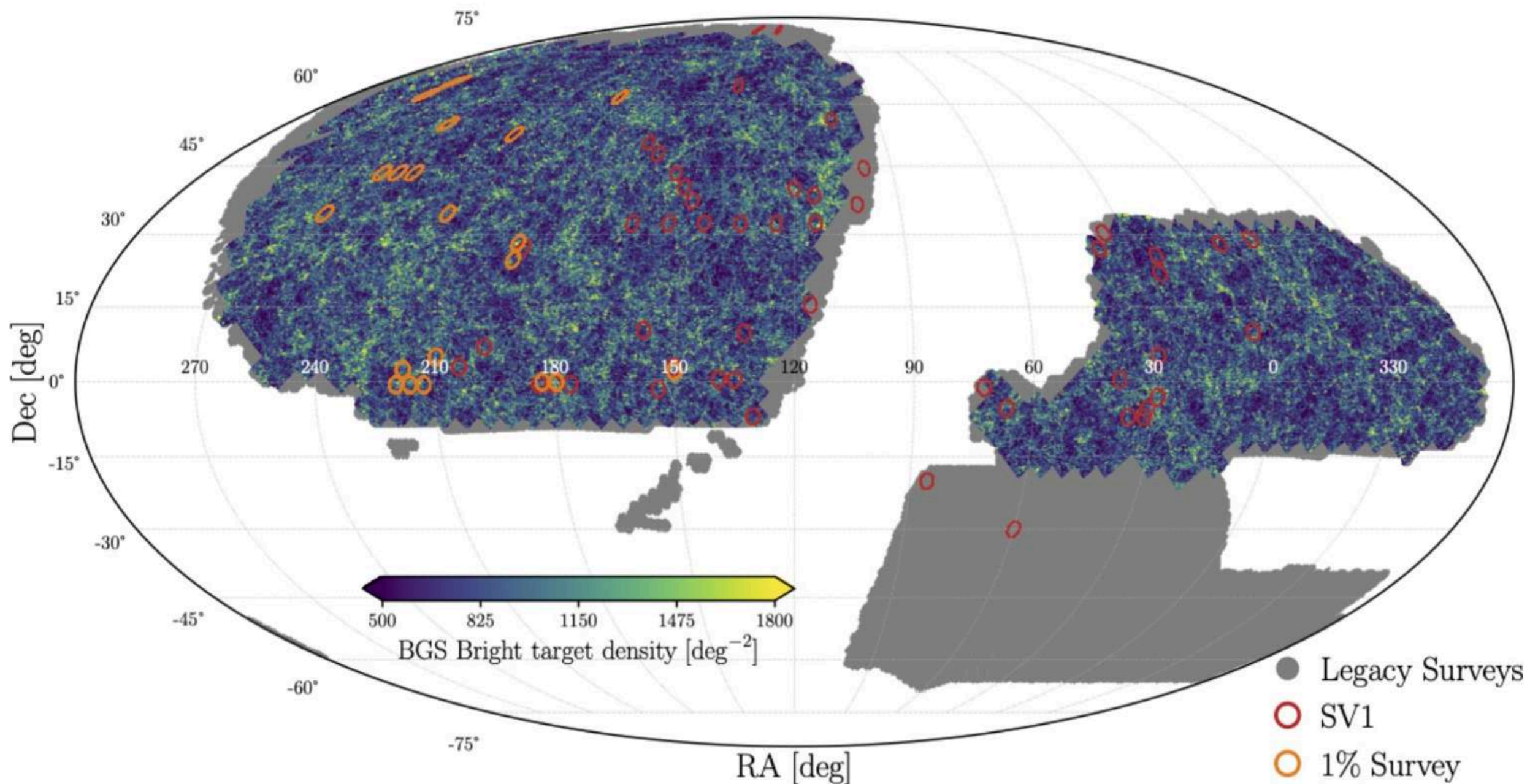
Talk by Pauline Zarrouk



Talk by Mat Smith

DESI Sky Coverage

Expected coverage of the Bright Galaxy Survey : 14k deg²



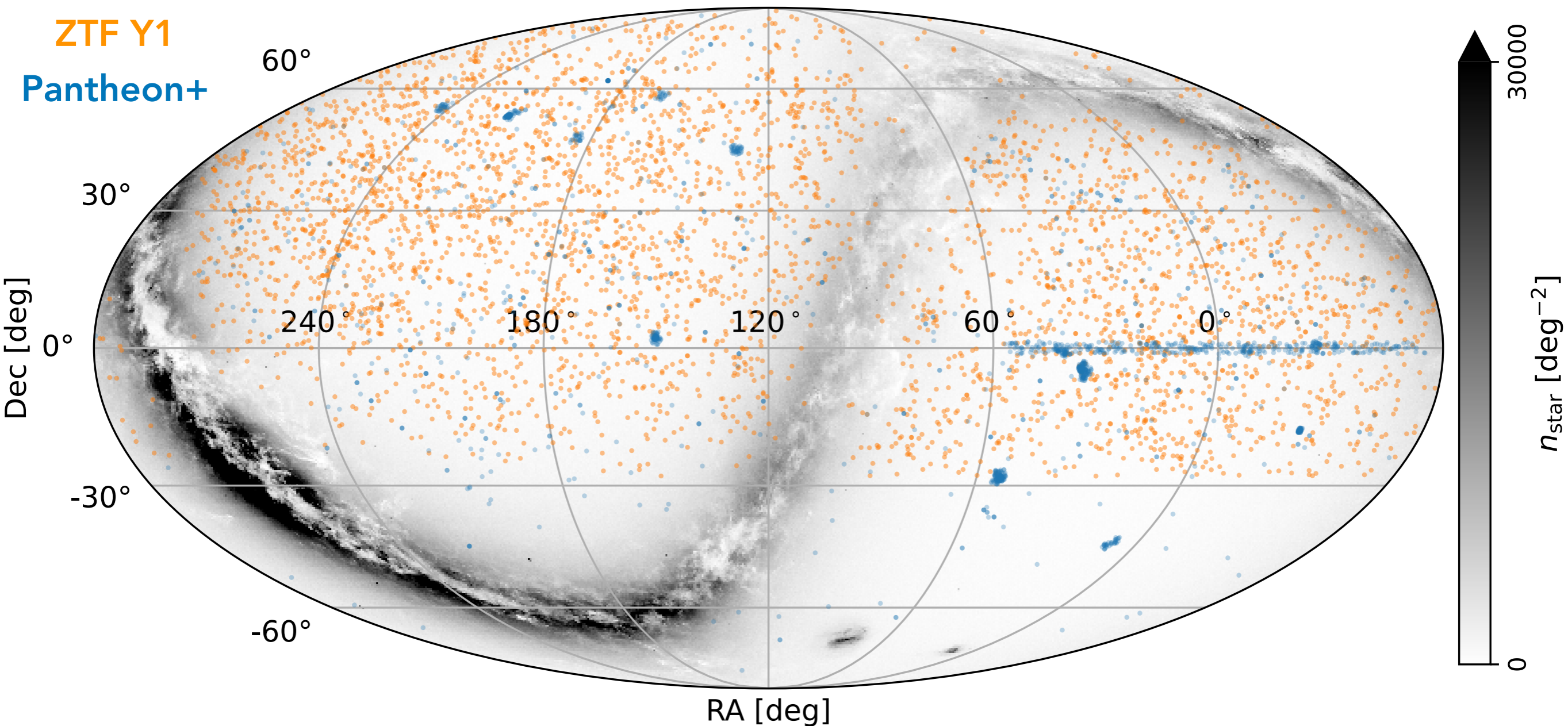
Hahn et al. 2022

The best low-redshift ($z < 0.4$) flux-limited galaxy sample

ZTF Sky coverage



Expected extra-Galactic coverage : 17k deg²

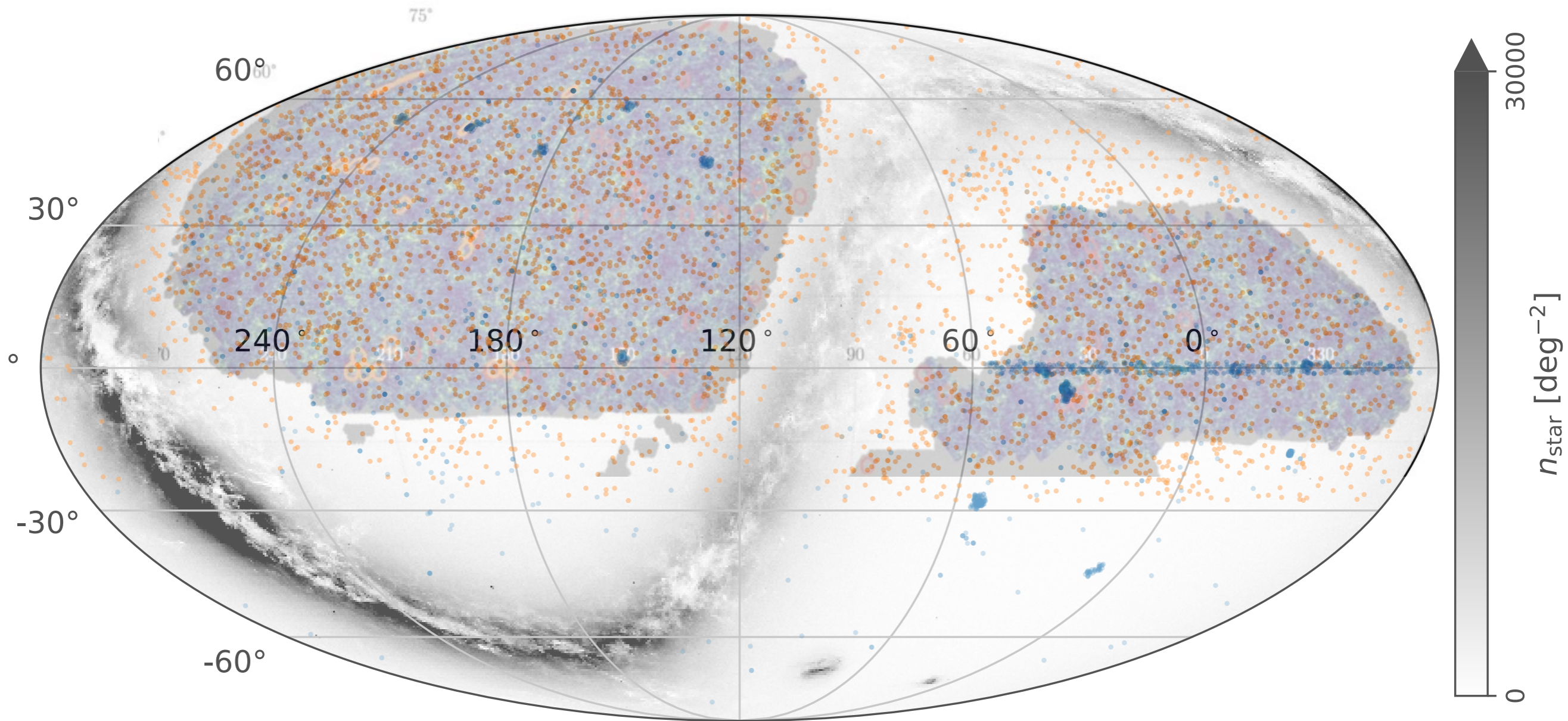


Year 1 sample: [Dhawan et al. 2022](#)

The largest and most uniform low-z SNIa survey



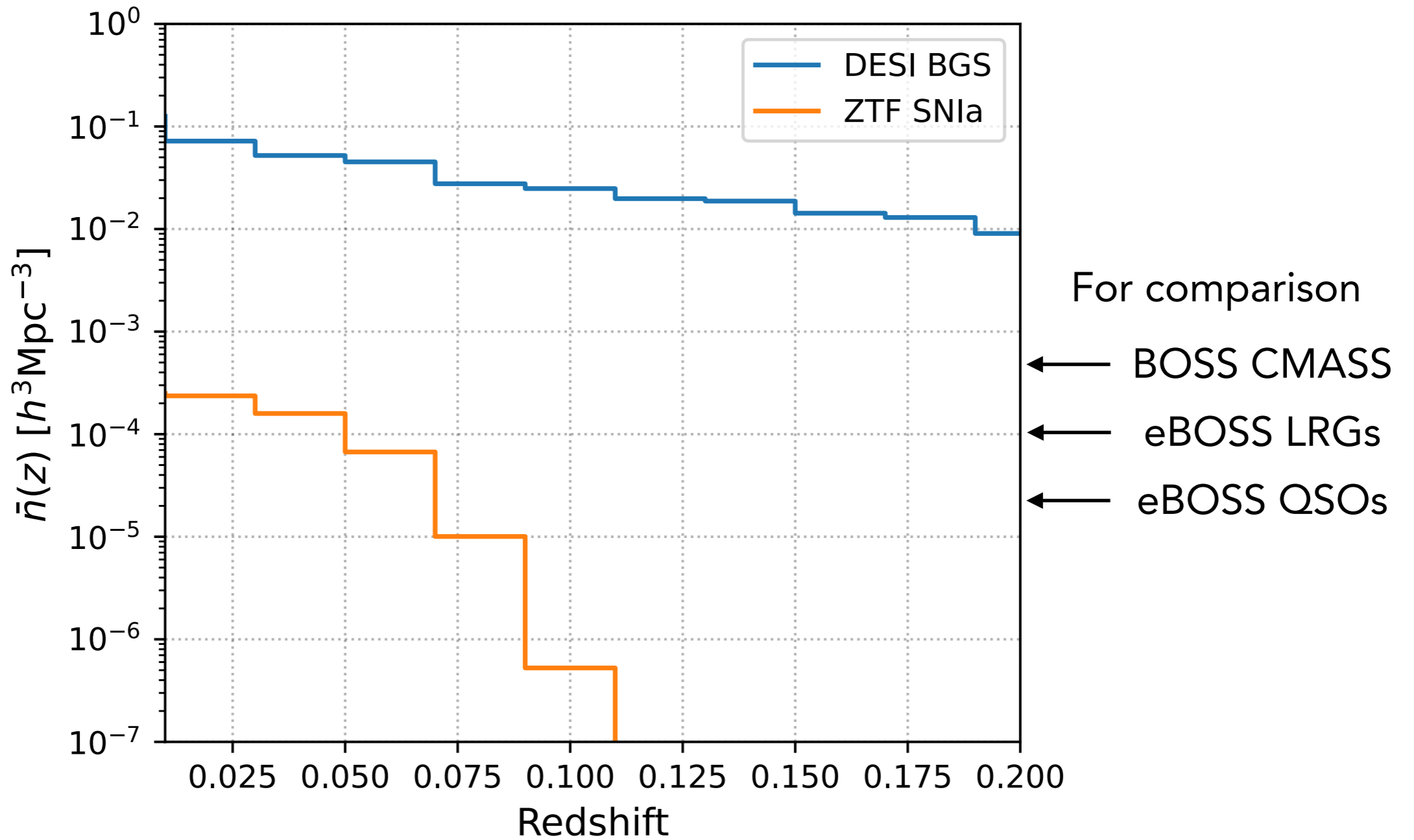
DESI+ZTF Sky Coverage



Excellent overlap between DESI and ZTF

Redshift distribution

expected at the end of both programs



Fewer SNIa but very valuable !

Fisher forecast on growth-rate $f\sigma_8$

Measurement : 3x2pt functions

$$\mathbf{C}(r, k, \mu_\phi) = \begin{bmatrix} P_{\delta\delta}(r, k, \mu_\phi) + \frac{1}{\bar{n}_\delta(r)} & P_{\delta v}(r, k, \mu_\phi) \\ P_{\delta v}(r, k, \mu_\phi) & P_{vv}(r, k, \mu_\phi) + \frac{\sigma_{\text{obs}}^2(r)}{\bar{n}_v(r)} \end{bmatrix}.$$

Howlett et al. 2017

https://github.com/CullanHowlett/PV_fisher

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Density of galaxies

Uncertainty in velocities

Density of velocities

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Fisher matrix

Density of galaxies

Uncertainty in velocities

Density of velocities

$$F_{ij} = \frac{\Omega_{\text{sky}}}{4\pi^2} \int_{r_{\text{min}}}^{r_{\text{max}}} r^2 dr \int_{k_{\text{min}}}^{k_{\text{max}}} k^2 dk \int_0^1 d\mu_\phi$$

$$\text{Tr} \left[\mathbf{C}^{-1}(r, k, \mu_\phi) \frac{\partial \mathbf{C}(r, k, \mu_\phi)}{\partial \lambda_i} \mathbf{C}^{-1}(r, k, \mu_\phi) \frac{\partial \mathbf{C}(r, k, \mu_\phi)}{\partial \lambda_j} \right]$$

Howlett et al. 2017

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Density of velocities

Sky coverage

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Fisher matrix

Uncertainty in velocities
Density of velocities

Sky coverage

$$F_{ij} = \frac{\Omega_{\text{sky}}}{4\pi^2} \int_{r_{\text{min}}}^{r_{\text{max}}} r^2 dr \int_{k_{\text{min}}}^{k_{\text{max}}} k^2 dk \int_0^1 d\mu_\phi$$

Smallest scale we can model

$$\text{Tr} \left[\mathbf{C}^{-1}(r, k, \mu_\phi) \frac{\partial \mathbf{C}(r, k, \mu_\phi)}{\partial \lambda_i} \mathbf{C}^{-1}(r, k, \mu_\phi) \frac{\partial \mathbf{C}(r, k, \mu_\phi)}{\partial \lambda_j} \right]$$

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Parameter of interest: $f\sigma_8$

Marginalising over: $b, \sigma_{\text{FoG},\delta}, \sigma_{\text{FoG},v}$

Howlett et al. 2017

https://github.com/CullanHowlett/PV_fisher

Fisher forecast on growth-rate $f\sigma_8$

Depends on accurate clustering modelling

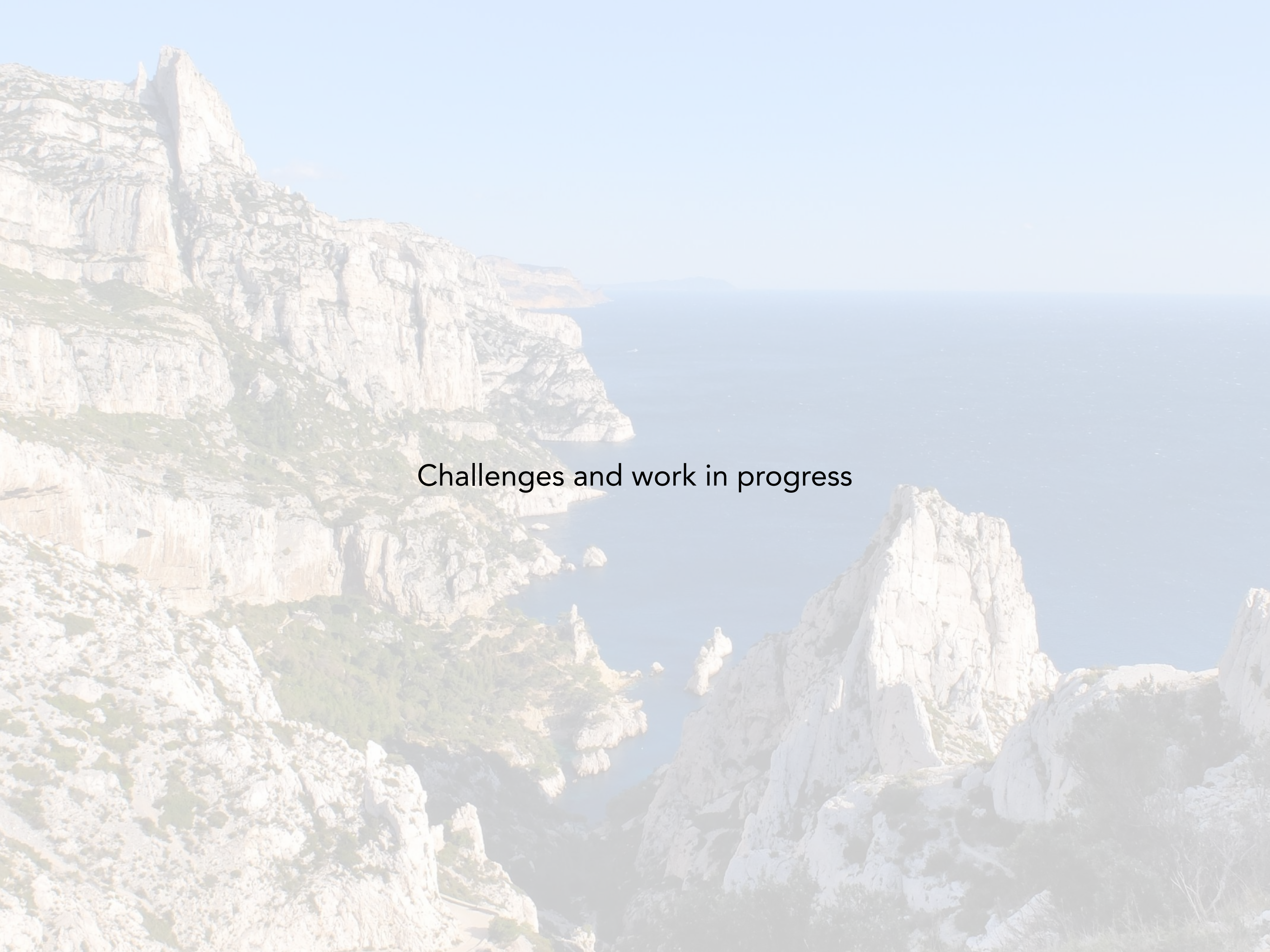
Depends on accurate SNIa modelling and flux calibration

Dataset	k_{\max}	$\sigma(D_L)/D_L$	$\sigma(f\sigma_8(z_{\text{eff}}))/f\sigma_8(z_{\text{eff}})$
DESI BGS	0.1	-	0.58
DESI BGS	0.2	-	0.21
ZTF SNIa	0.1	0.05	0.22
ZTF SNIa	0.1	0.10	0.35
ZTF SNIa	0.2	0.05	0.19
ZTF SNIa	0.2	0.10	0.32
DESI BGS + ZTF SNIa	0.1	0.05	0.12
DESI BGS + ZTF SNIa	0.1	0.10	0.20
DESI BGS + ZTF SNIa	0.2	0.05	0.09
DESI BGS + ZTF SNIa	0.2	0.10	0.13

Pessimistic

Optimistic

Combining DESI and ZTF leads to a **factor 2 improvement** in uncertainties

A scenic view of a rugged coastline. The foreground and middle ground are dominated by steep, light-colored rock cliffs with visible horizontal and vertical geological strata. Sparse green vegetation is scattered across the rocky slopes. The cliffs drop down to a deep blue sea. In the distance, more landmasses are visible under a clear, pale blue sky. The overall atmosphere is bright and clear.

Challenges and work in progress

Challenges



Understand non-cosmological density fluctuations

Accurate models of non-linear galaxy clustering

Accurate covariance matrices

Test methodologies of growth-rate measurements

Mock catalogues of both datasets

Obtain precise statistical and systematic uncertainties

Selection effects
- versus redshift
- versus angle in sky

Redshifts for hosts

Improve photometry

Work in progress @ CPPM



Work in progress @ CPPM



**Data
Simulations**

Vincenzo Aronica
RSD analysis of BGS
Photometric systematics

Bastien Carreres
Growth-rate with simulated SNIa

Work in progress @ CPPM



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Emulators for RSD+PV

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Understanding density-
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**Anchor (high-z)
measurements**

Tyann Dumerchat
Joint Fourier+Config BAO analysis
Vincenzo Aronica
Joint Fourier+Config RSD analysis
Corentin Ravoux
RSD in Void- $\text{Ly}\alpha$ ($z \sim 2.3$)



Elena Sarpa
BAO with Euclid
Impact of neutrinos

Work in progress @ CPPM



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Impact of neutrinos

**Combining
everything**

Everyone + collaboration in France and rest of the world

Conclusion

We need to test if GR is valid on cosmological scales

Peculiar velocities are essential for low- z growth-rate measurements:
up to factor 2 improvement!

DESI and ZTF are providing great datasets

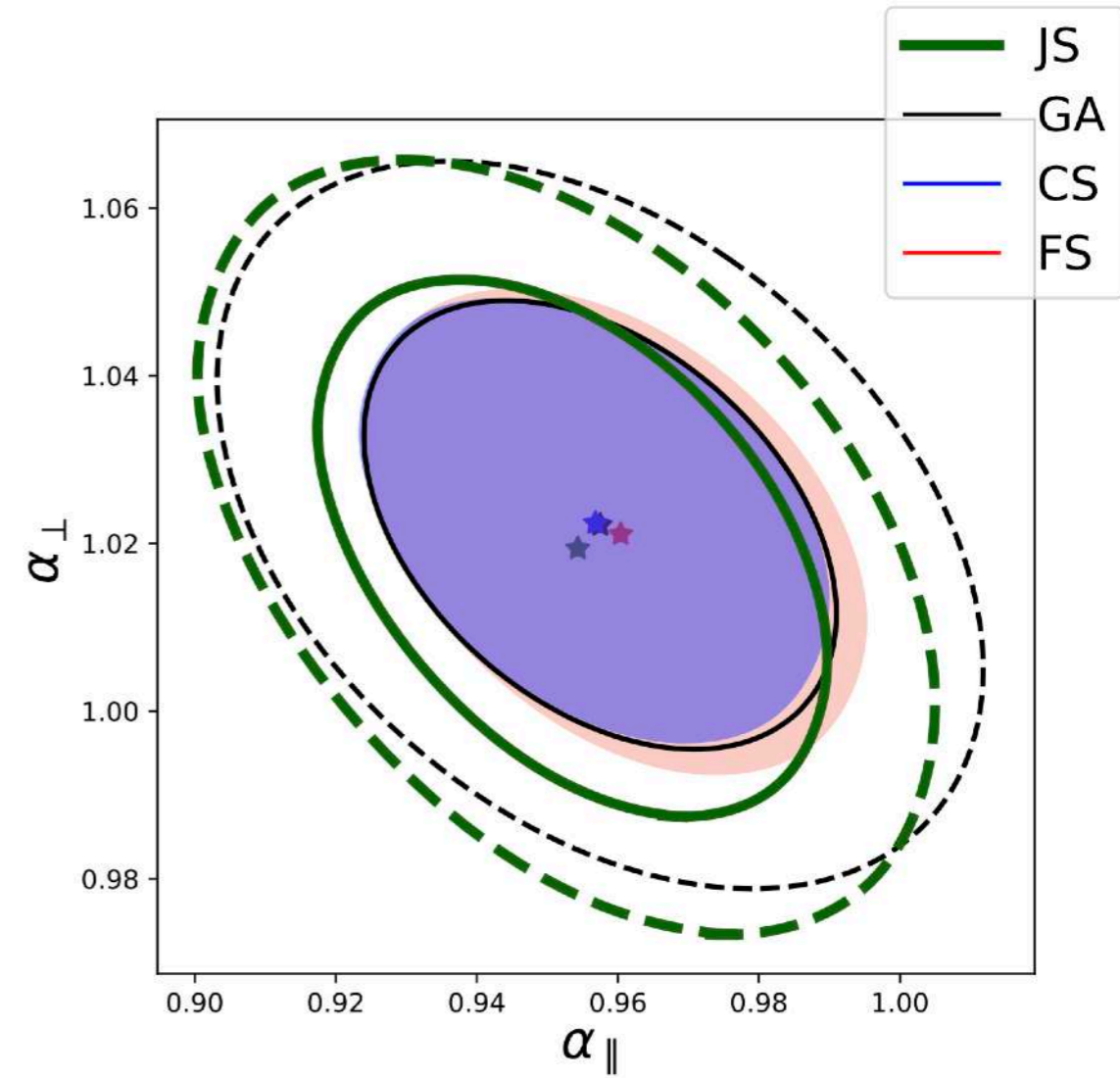
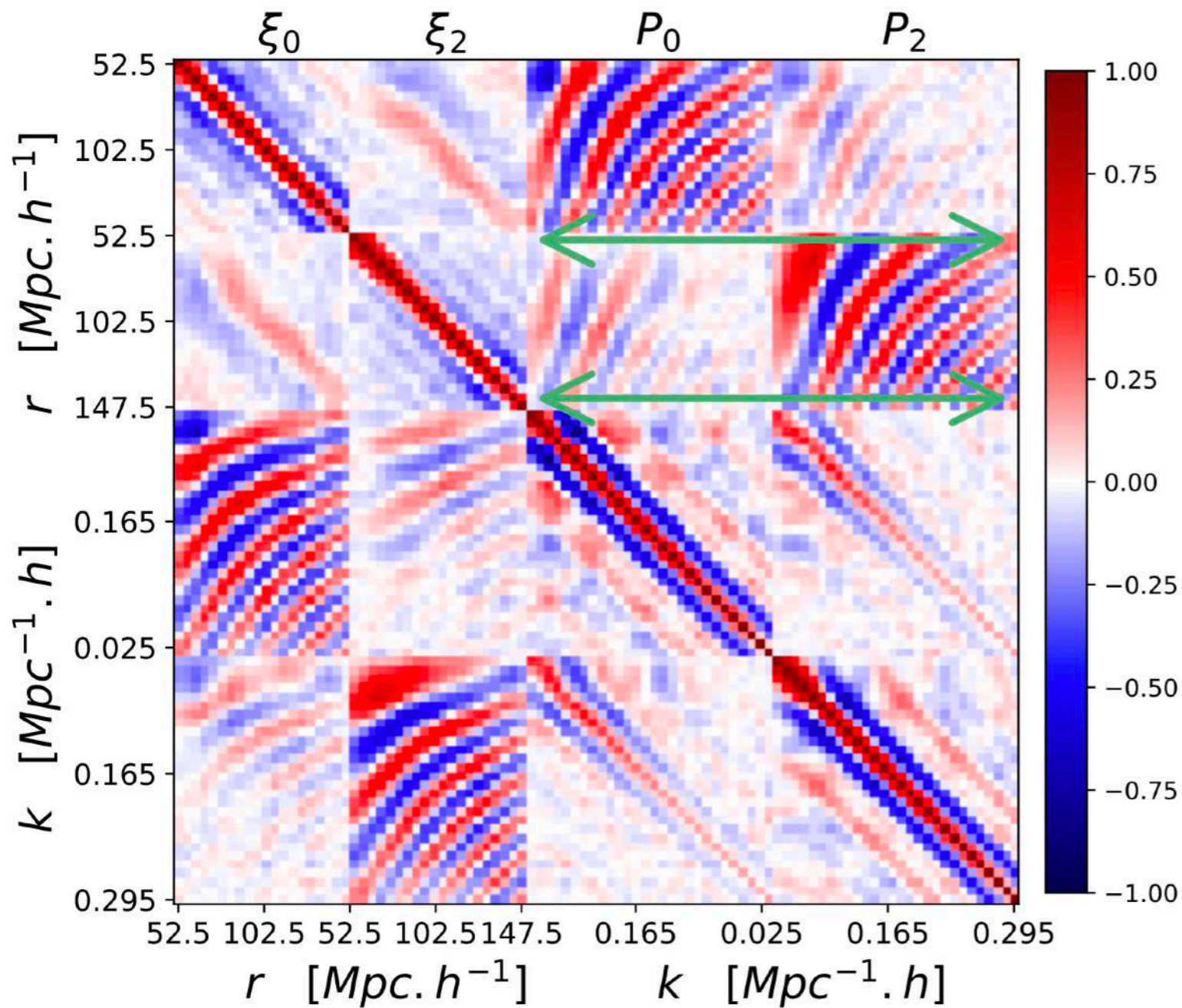
Lots of work to be done to understand biases and uncertainties

Thank you

Joint Fourier+Configuration space BAO analysis


Dumerchat & Bautista 2022  [baopy](#)

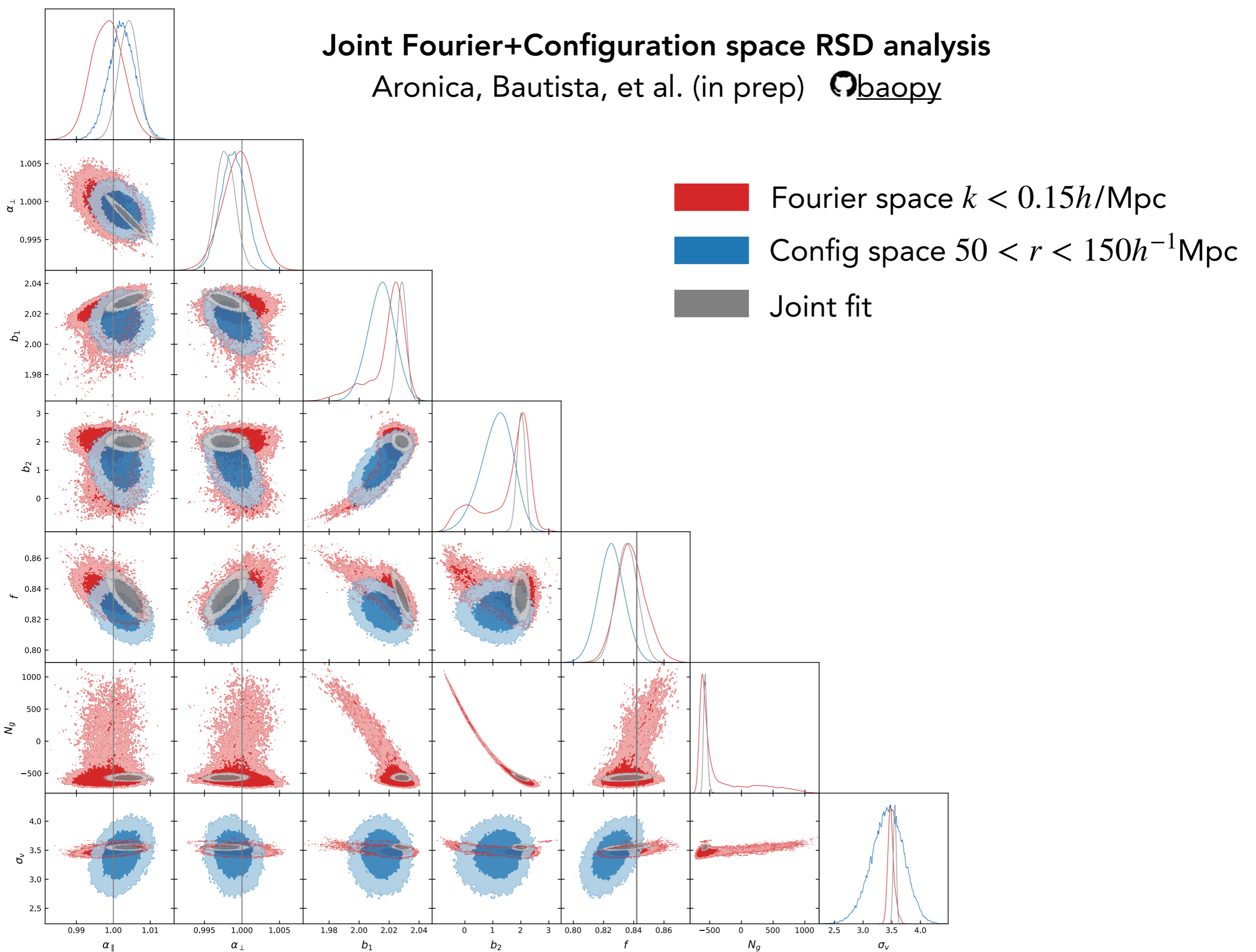
Correlation matrix from 1000 mocks



Currently being used within DESI

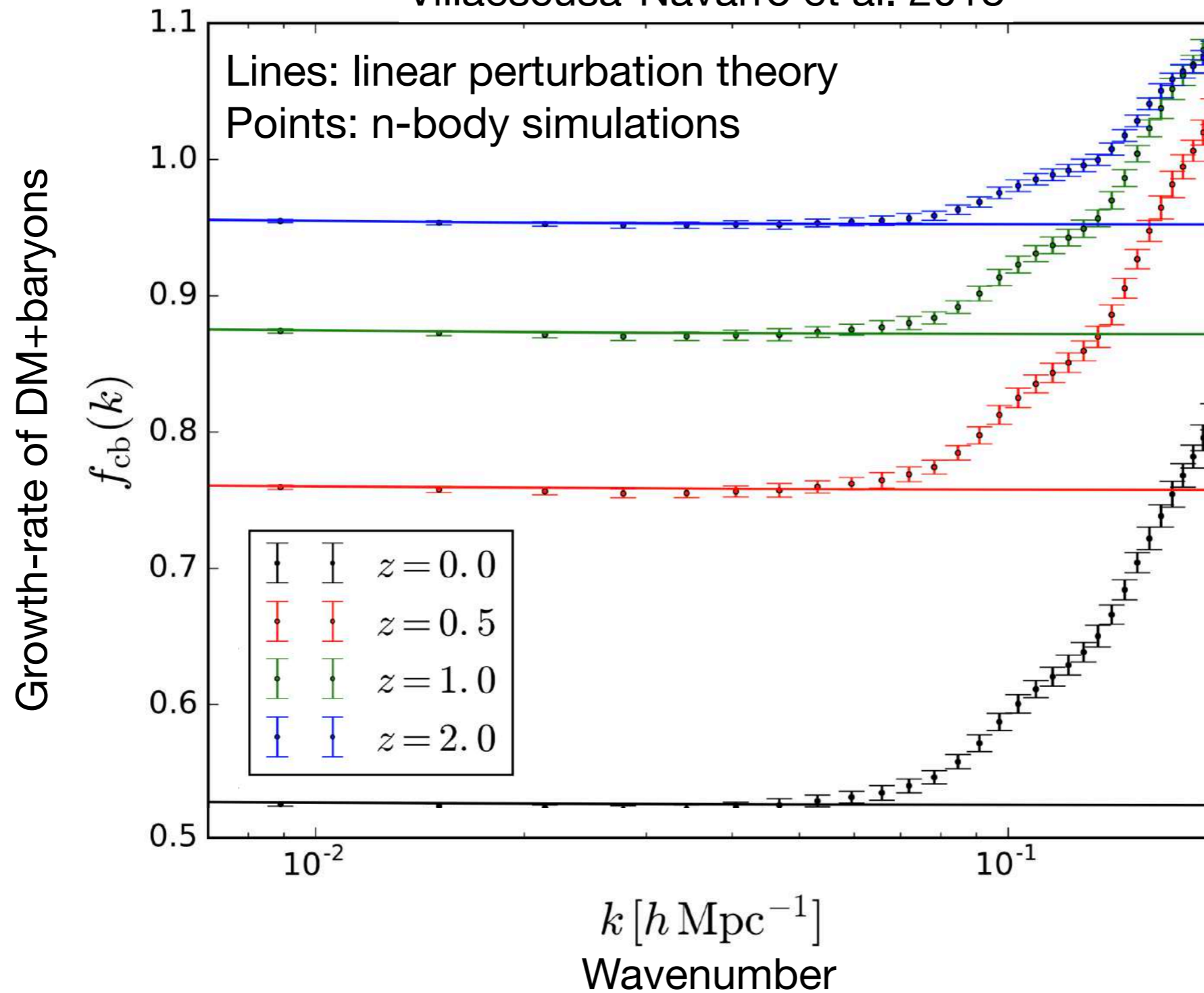
Joint Fourier+Configuration space RSD analysis

Aronica, Bautista, et al. (in prep)  [baopy](#)



Non-linear clustering of density field

Villaescusa-Navarro et al. 2018

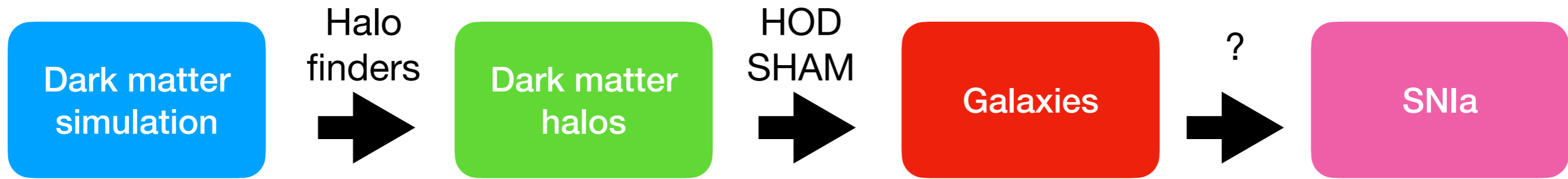


Clustering of matter is very non-linear at $z \sim 0$
Need to add halo bias, galaxy bias, SNIa bias on top of that

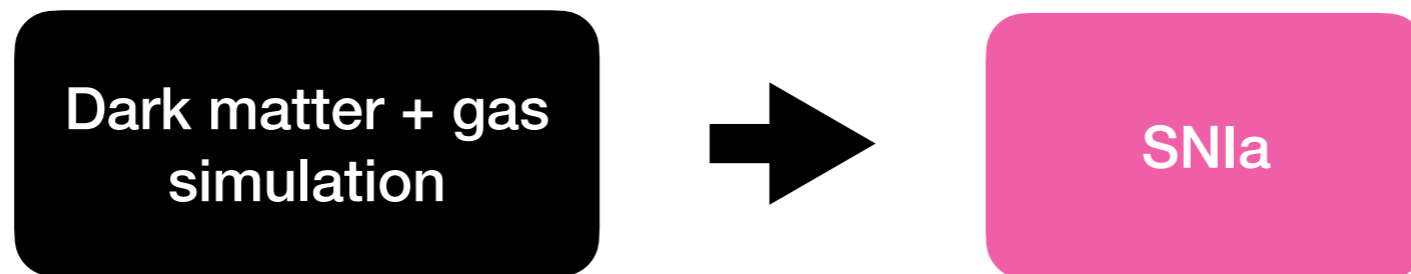
Mock catalogues

Essential to test methodologies
Robust uncertainties: statistical and systematic

How good mocks need to be?



How good hydro-sims model SNIa?
Are they useful/enough to calibrate mock catalogues?



ZTF is great for this kind of study