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## Bi-weekly updates

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## Object reconstruction

- Object reconstruction for semileptonic channel:  $e^+e^- \rightarrow t\bar{t} \rightarrow \ell\nu b q \bar{q}\bar{b}$   
→ Signature: 1 lepton (either electron or muon) + MET + 4 jets (2 b-tagged)
- Jet clustering motivated by talk from J.M. Torndal:
  1.  $k_{\perp}$ -algorithm provided by FastJet
  2. Jet clustering performed with all reconstructed particles
  3. Requiring exactly 4 jets and 80% b-tag

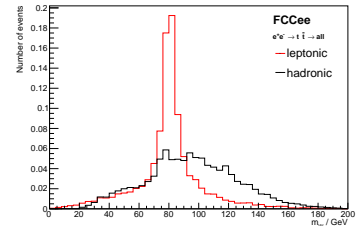
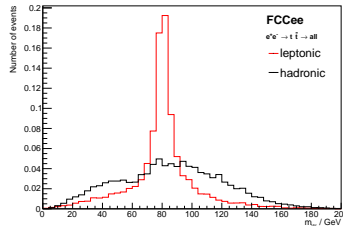
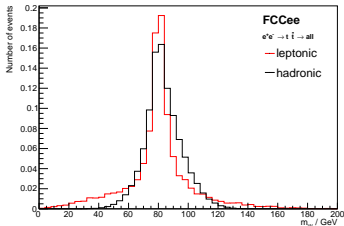
```
# select jets
.Alias("Jet3", "Jet#3.index")

.Define("pseudo_jets", "JetClusteringUtils::set_pseudoJets_xyzm(RP_px, RP_py, RP_pz, RP_mass)")
# arguments in clustering_jade(a, b, c, d, e):
# a: Jet cone radius R = 0.5
# b: Clustering
# 0 -> inclusive clustering
# 1 -> exclusive clustering with dcut
# 2 -> exclusive clustering to exactly njets
# 3 -> exclusive clustering up to exactly njets
# 4 -> exclusive clustering with ycut
# c: Cut-value depending on clustering
# d: Ordering of returned jets
# 0 -> sorted by pt
# 1 -> sorted by E
# e: Recombination scheme
# .Define("FCCAnalysesJets_jade", "JetClustering::clustering_jade(0.5, 2, 4, 0, 10)(pseudo_jets)")
.Define("FCCAnalysesJets_jade", "JetClustering::clustering_ee_kt(2, 4, 0, 10)(pseudo_jets)")

# .Define("jets_jade", "JetClusteringUtils::get_pseudoJets(FCCAnalysesJets_jade)")
.Define("jets_jade", "JetClusteringUtils::get_pseudoJets(FCCAnalysesJets_jade)")
```

## Object reconstruction — $W$ boson

- Two reconstructed  $W$  bosons from  $W \rightarrow \ell + \nu$  (leptonic) and  $W \rightarrow q + \bar{q}$  (hadronic)
- Leptonic reconstruction works well, hadronic reconstruction challenging
- Flavor assignment based on MC truth (as far as I understand)  $\rightarrow$  choose  $b$  and  $c$  tag based on WP?
- Tried several hadronic  $W$  reconstructions:
  1. Build all 4 jets without  $b$ -tag information and calculate the jet pair with  $\min(|m_{jj} - m_W|)$
  2. Build 2  $b$ -tagged jets, 2  $nb$ -tagged jets and calculate  $m_{jj}^{nb}$
  3. Build 2  $b$ -tagged jets, 2  $nb$ -tagged jets and calculate  $m_{jj}^{nb}$  when  $\text{flavor}(j_1) \neq \text{flavor}(j_2)$



## Object reconstruction — $t$ -quark

- Use the reconstructed  $W$  bosons to further combine with a  $b$ -tagged jet
- $b$ -jet matching similar to  $W$  bosons:  $\min(|m_{\ell\nu j_b} - m_t|)$  and  $\min(|m_{j j j_b} - m_t|)$
- But: heavily depends on which channel is favored, here:  $W$  boson flavor-constrained

```
t_lvb0 = (met + reco_lepton + bjet0).M()
t_lvb1 = (met + reco_lepton + bjet1).M()

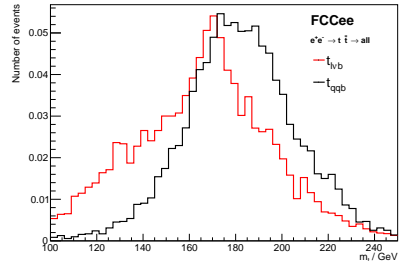
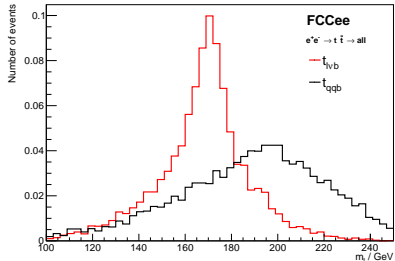
t_qqb0 = (jet0 + jet1 + bjet0).M()
t_qqb1 = (jet0 + jet1 + bjet1).M()

# match b jet to W boson
if abs(t_lvb0 - m_t) < abs(t_lvb1 - m_t):
    h_RECO_t_lvb.Fill(t_lvb0)
    h_RECO_t_qqb.Fill(t_qqb1)
elif abs(t_lvb0 - m_t) > abs(t_lvb1 - m_t):
    h_RECO_t_lvb.Fill(t_lvb1)
    h_RECO_t_qqb.Fill(t_qqb0)
```

```
t_lvb0 = (met + reco_lepton + bjet0).M()
t_lvb1 = (met + reco_lepton + bjet1).M()

t_qqb0 = (jet0 + jet1 + bjet0).M()
t_qqb1 = (jet0 + jet1 + bjet1).M()

# match b jet to W boson
if abs(t_qqb0 - m_t) < abs(t_qqb1 - m_t):
    h_RECO_t_lvb.Fill(t_lvb1)
    h_RECO_t_qqb.Fill(t_qqb0)
elif abs(t_qqb0 - m_t) > abs(t_qqb1 - m_t):
    h_RECO_t_lvb.Fill(t_lvb0)
    h_RECO_t_qqb.Fill(t_qqb1)
```



- Leptonic reconstruction of  $W$  boson works well
- Hadronic reconstruction of  $W$  boson quite challenging (should be the focus on now)
  - Jet clustering + matching and  $b$  tagging correctly?
  - Other object definitions required?