

The 28th Vietnam School of Physics (VSOP-28)



Experimental methods for physics at the LHC

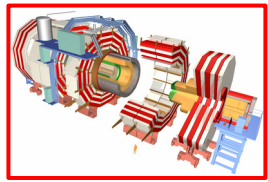
Sourabh Dube



July 24, 2022 to
August 5, 2022

Lecture 4:
Introduction to Analysis

A word on 'Monte Carlo' samples



Data

Generation

Simulation

Digitization

Reconstruction

For a given physics process, obtain the 4-vectors of all outgoing particles

Simulate what happens when these outgoing particles interact with the material of the detector

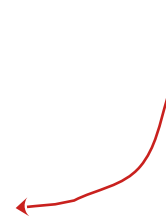
Given the material interactions, what digital signals will be generated in the detector (like actual data)

Use the digital signals to reconstruct what particles were seen in the detector.

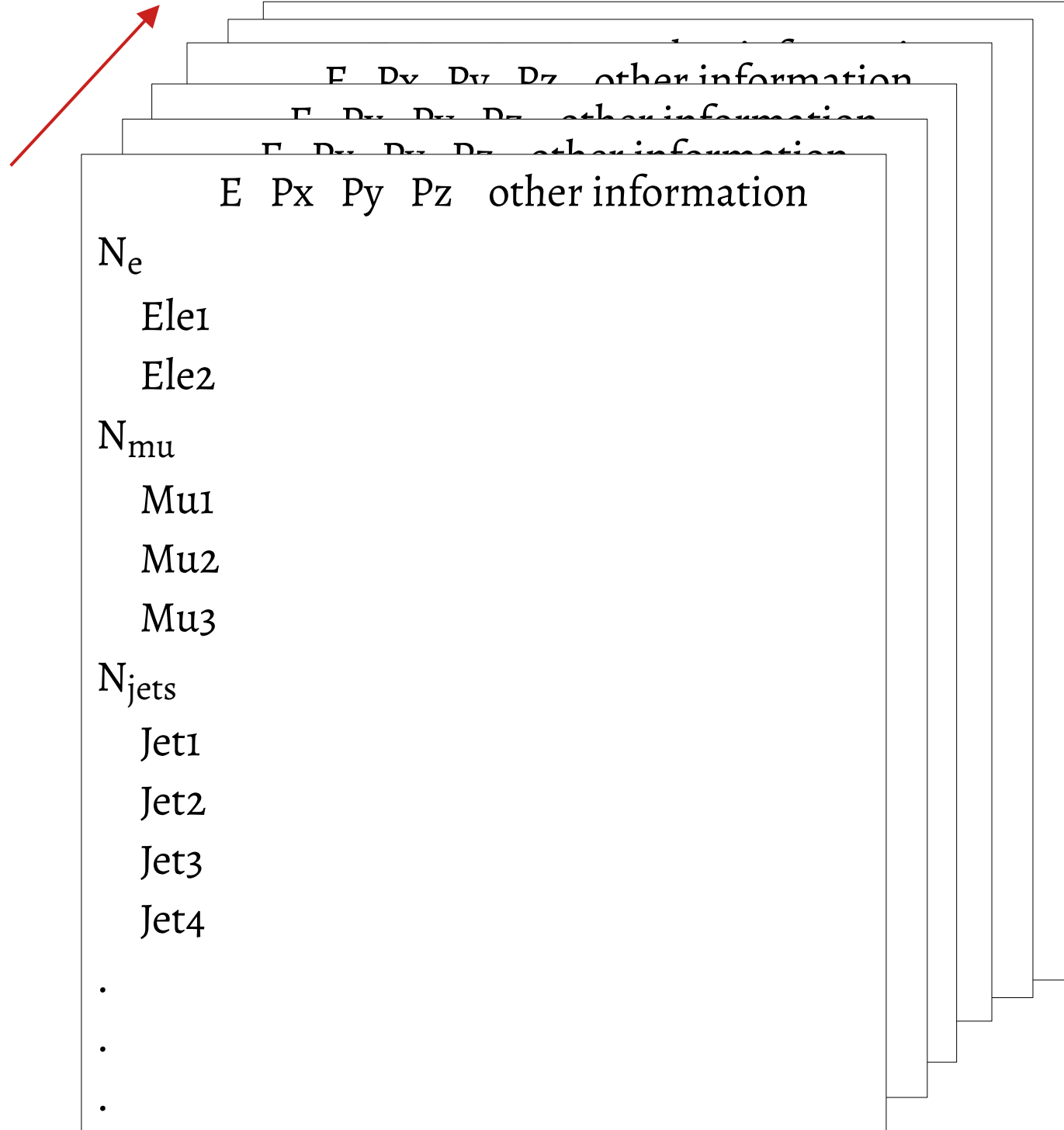
Dedicated lectures on this later in the school....

	E	Px	Py	Pz	other information
N_e					
Ele1					
Ele2					
N_{mu}					
Mu1					
Mu2					
Mu3					
N_{jets}					
Jet1					
Jet2					
Jet3					
Jet4					
.					
.					
.					

1 event or 1 collision



We have many
such collisions



Event counts

$$N = L \sigma B A \varepsilon$$

N is number of events (of a given process)

L is integrated luminosity (amount of data)

σ is the cross section of that process

B is branching fraction

A is acceptance

ε is efficiency

Event counts

$$N = L \sigma B A \varepsilon$$

N is number of events (**Z to ll at the LHC**)

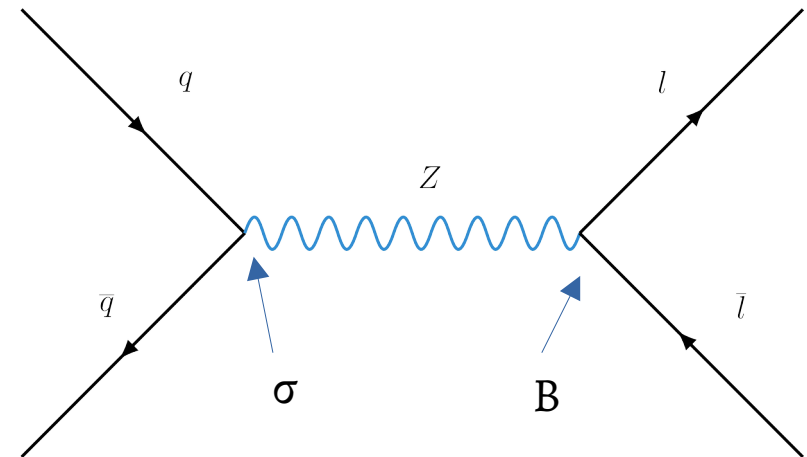
L is integrated luminosity (amount of data)

σ is the cross section of that process (**pp \rightarrow Z**)

B is branching fraction (**Z \rightarrow ll**)

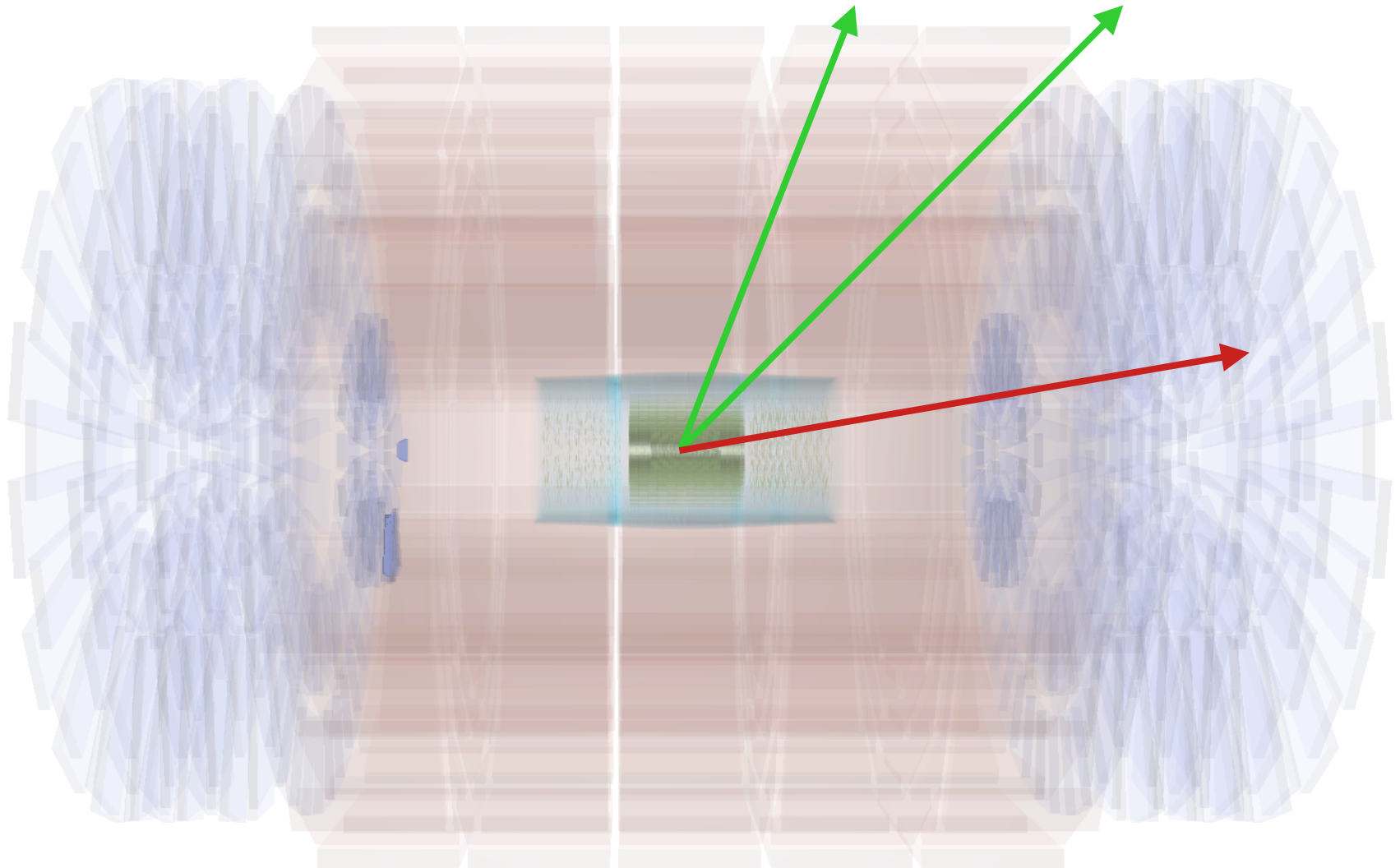
A is acceptance (**Z \rightarrow ll events within detector coverage**)

ε is efficiency (**of those how many are identified**)



$$\text{Acceptance} = \frac{\text{Number that pass 'selections'}}{\text{Total number}}$$

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Detector acceptance :

the fraction of events that do interact with detector and thus can potentially be reconstructed

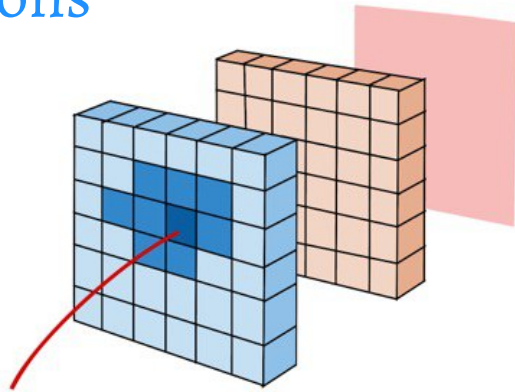
Kinematic acceptance :

The fraction of events that pass kinematic selections one may require ($p_{\tau} > 50 \text{ GeV}$, $\Delta\eta_{jj} > 2.0$)

$$\text{Efficiency} = \frac{\text{Number that are correctly identified}}{\text{Number that can be identified}}$$

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Electrons



A track that matches a calorimeter cluster

Energy/Momentum close to 1

Negligible HCAL deposit

Shape of shower as expected

Isolated

How good should the match be?

How close to 1?

How negligible?

How close to expected?

How isolated?

Acceptance x Efficiency

Acceptance x Efficiency =

$$\frac{\text{Number that pass selections and can be detected}}{\text{Total number produced}} \times \frac{\text{Number that is detected}}{\text{Number that pass selections and can be detected}}$$

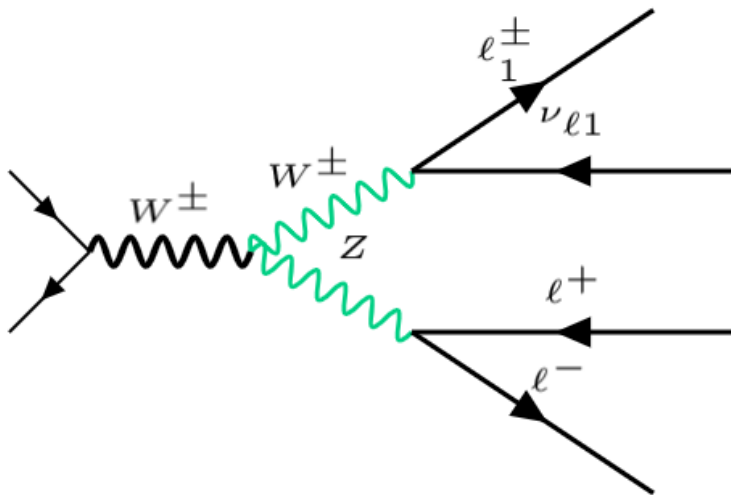
$$= \frac{\text{Number that is detected}}{\text{Total number produced}}$$

$$N = L \sigma B A \varepsilon$$

Number we will see = amount of data \times rate of production
 \times whether we reconstruct/identify the events.

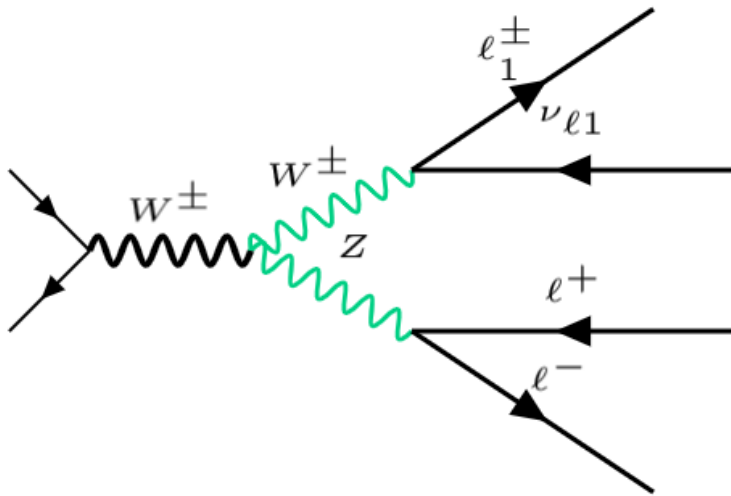
An example of acceptance

Consider looking for collisions which are from WZ production



An example of acceptance

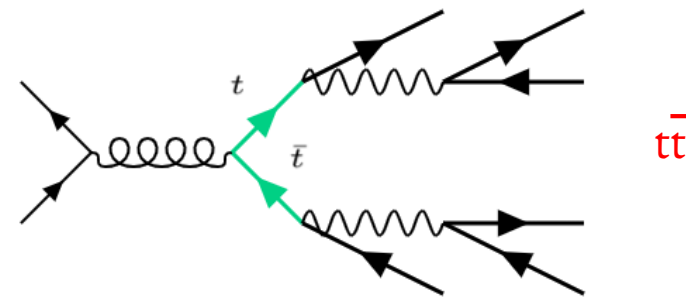
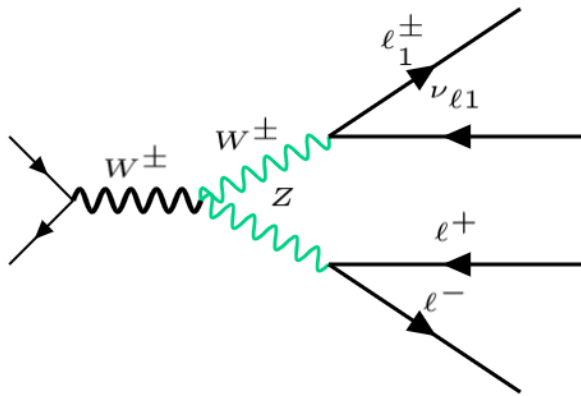
Consider looking for collisions which are from WZ production



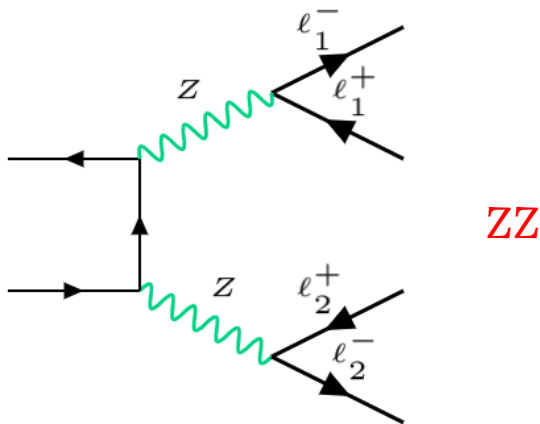
All events with 3 muons with $p_T > 20$ GeV each

An example of acceptance

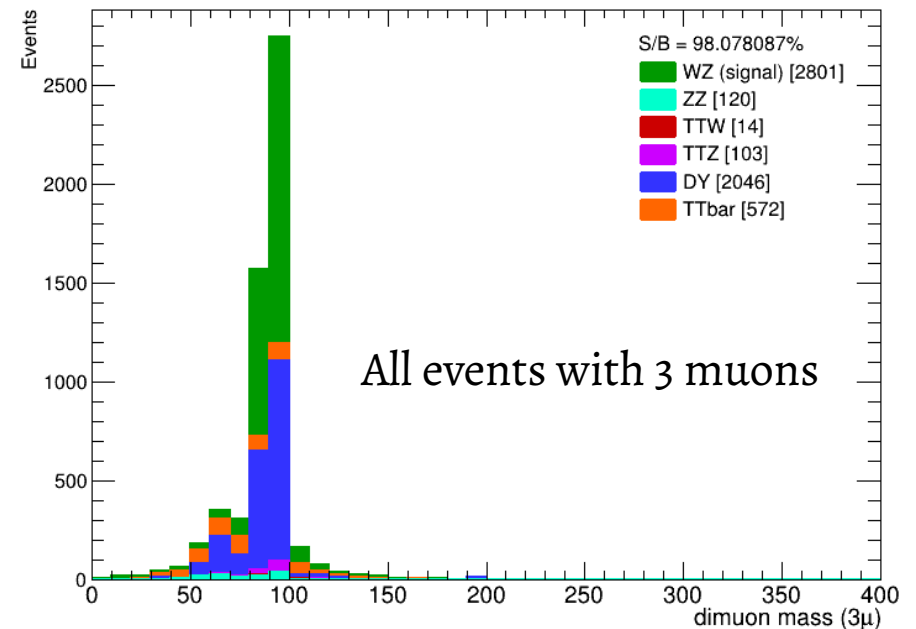
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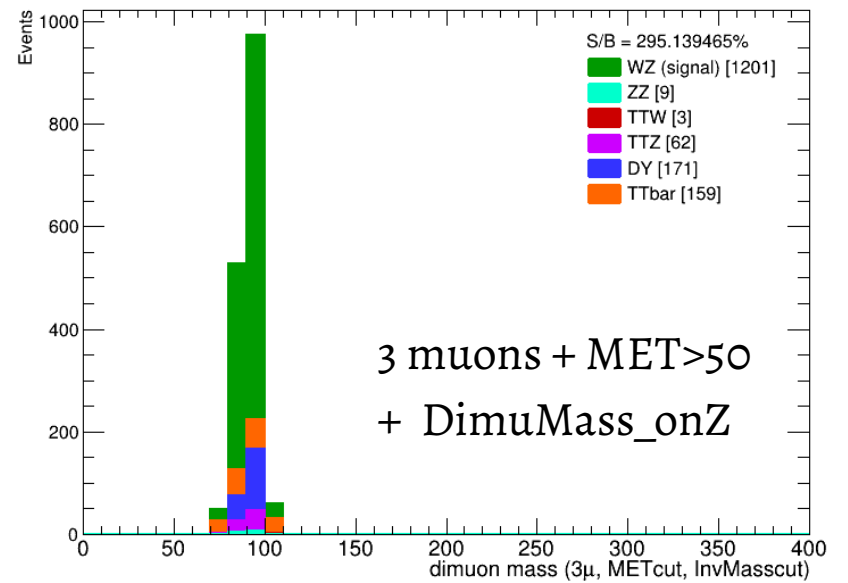
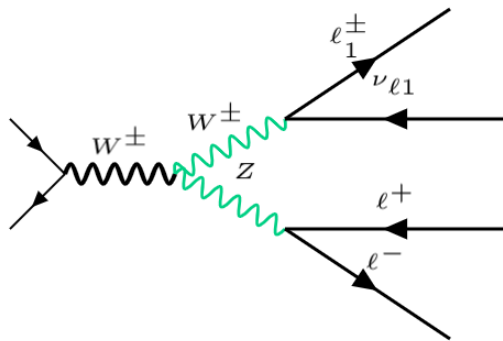
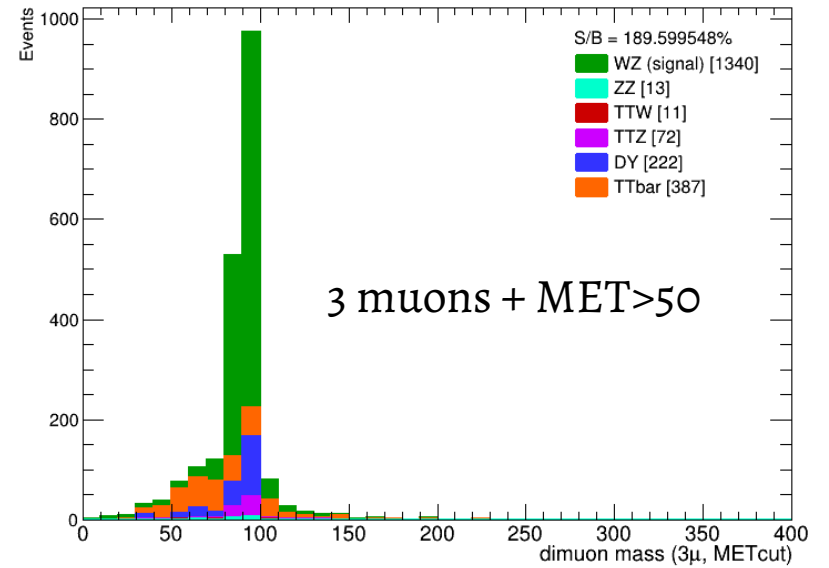
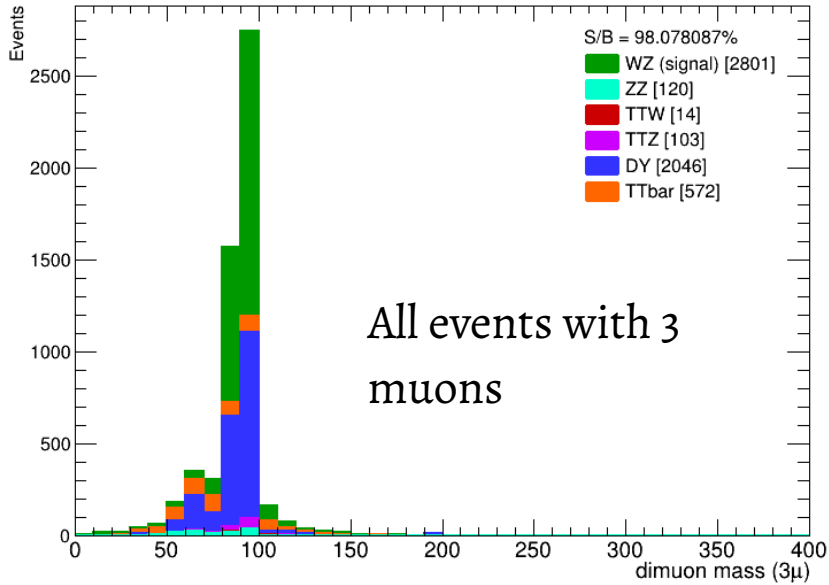
$t\bar{t}$



ZZ



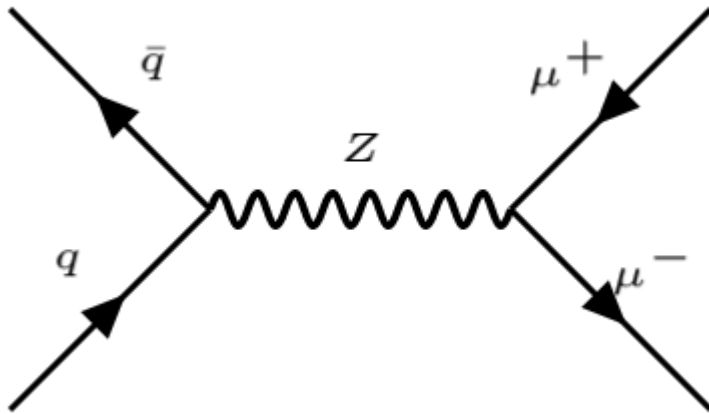
An example of acceptance



Measure cross section

We know Z exists. We know one possible decay is $Z \rightarrow \mu\mu$

Is the cross section calculated by human beings the correct value?



Measure cross section

We know Z exists. We know one possible decay is $Z \rightarrow \mu\mu$

Is the cross section calculated by human beings the correct value?

Let us nail down some particulars.

What quality requirements should we make to select muons?

Say we require some selections (q) for muons.

In addition we also require some kinematical conditions (k)

Measure Z cross section

$$N = L \sigma_B A \epsilon$$

$$\sigma_B = N / (L A \epsilon)$$

Fiducial cross section

$$(\sigma_B)_{fid} = N / L$$

N is the observed events in data passing selections.

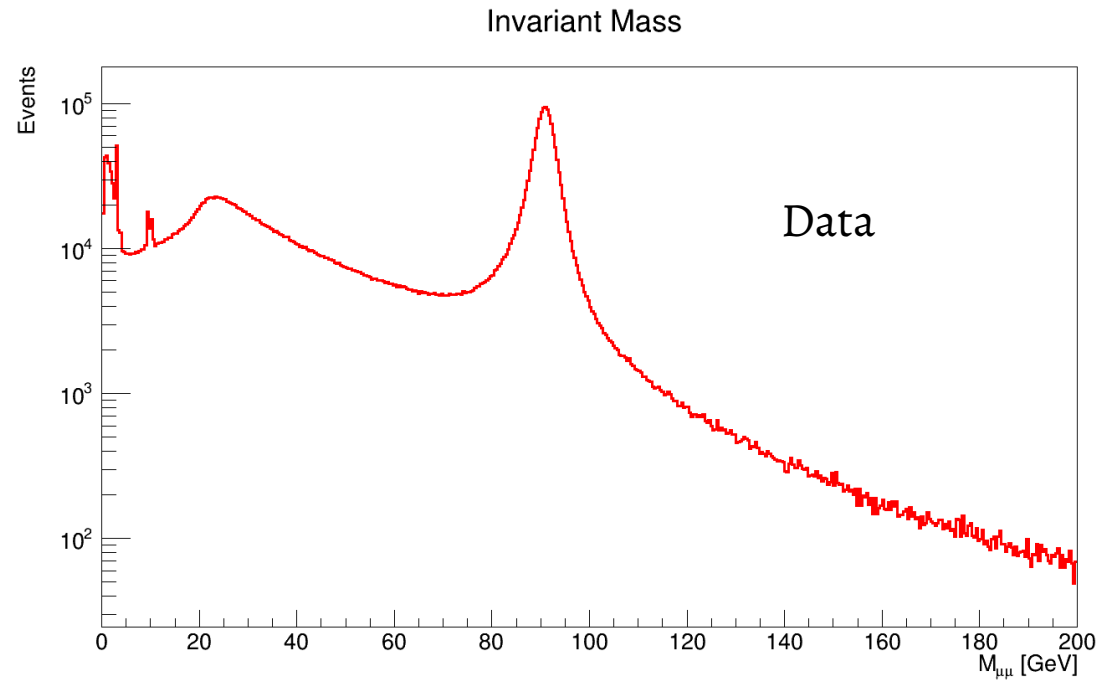
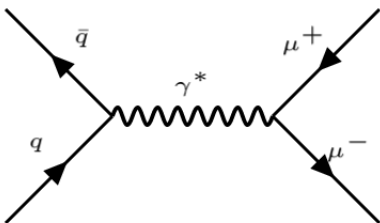
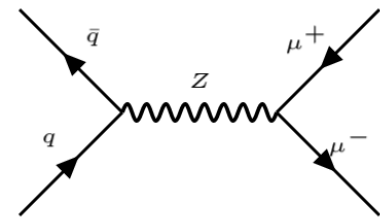
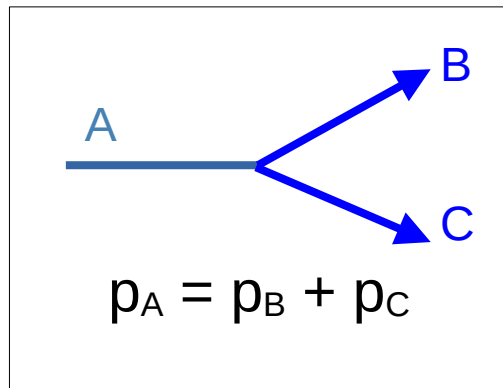
L is the integrated luminosity of our dataset.

A is the acceptance of our selections, depends on k

ϵ is the efficiency of our selections, depends on q

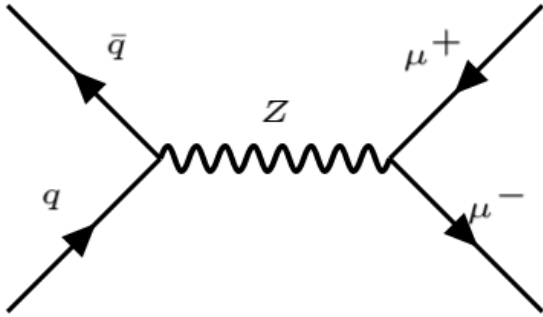
Measure Z cross section

$$\sigma_B = N / (L A \epsilon)$$



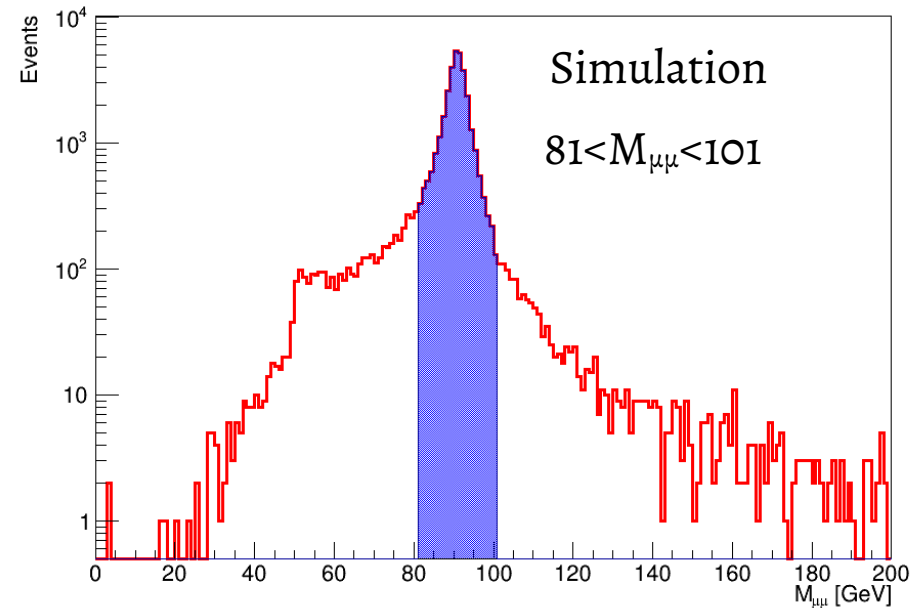
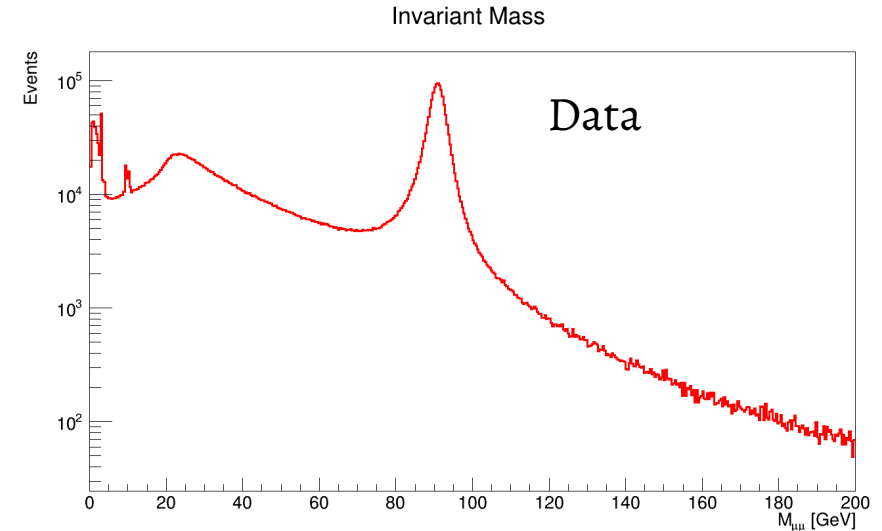
(Two muons, each with $p_T > 20$ GeV, $|\eta| < 2.4$ etc.)

How do we determine A ?



1. Produce simulation of Z
2. In simulation, implement all the selections (k) that we aim to do in the data.

$$\frac{\text{Number that pass selections and can be detected}}{\text{Total number produced}}$$



How do we determine ε ?

$$\frac{\text{Number that is detected}}{\text{Number that pass selections and can be detected}}$$

We calculate efficiency (effect of q) for one muon, ε_μ

Then the total efficiency of the event is $\varepsilon = \varepsilon_\mu \cdot \varepsilon_\mu$

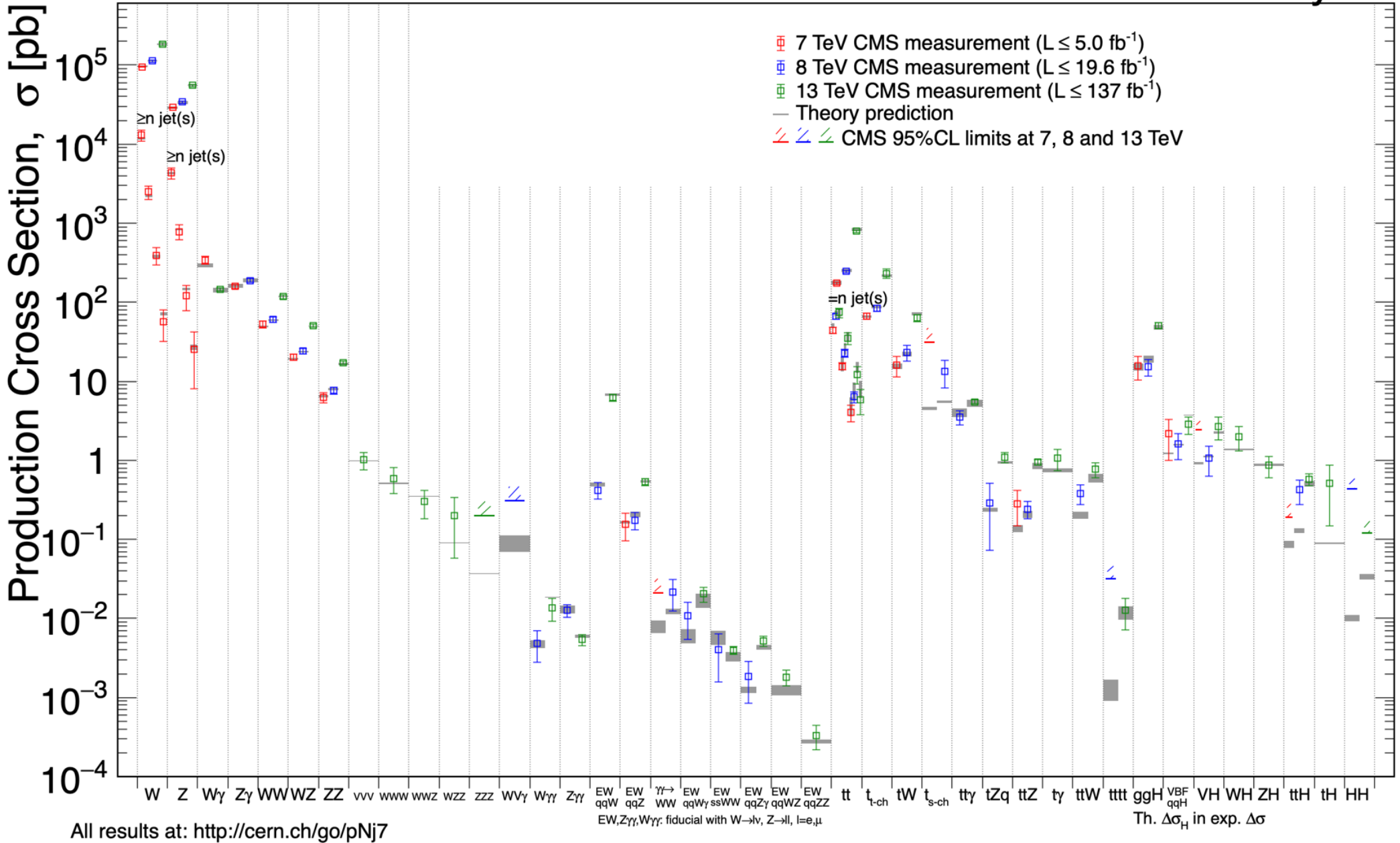
Here q includes all the reconstruction and identification requirements.

Stick all numbers in...

$$\sigma_B = N / (L A \varepsilon)$$

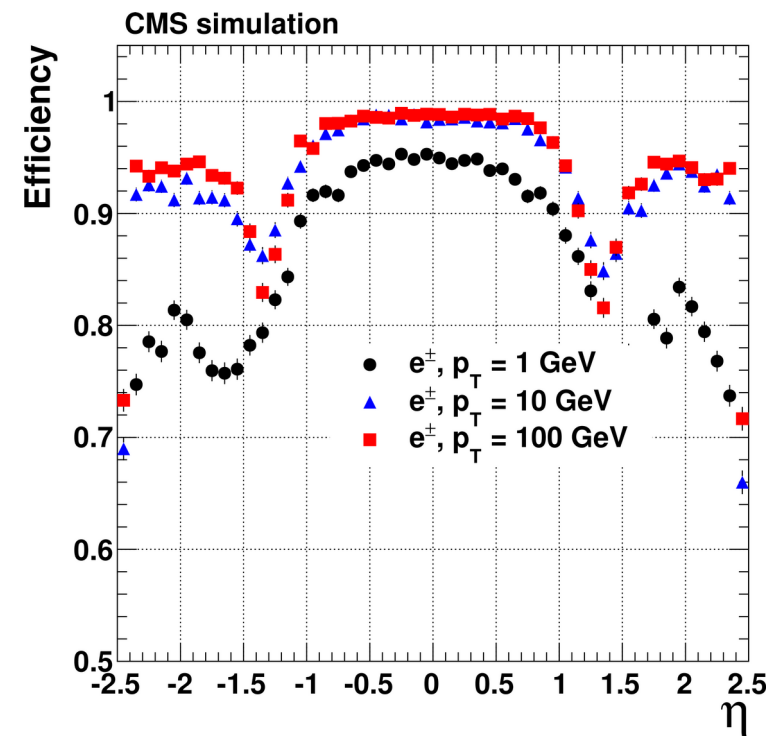
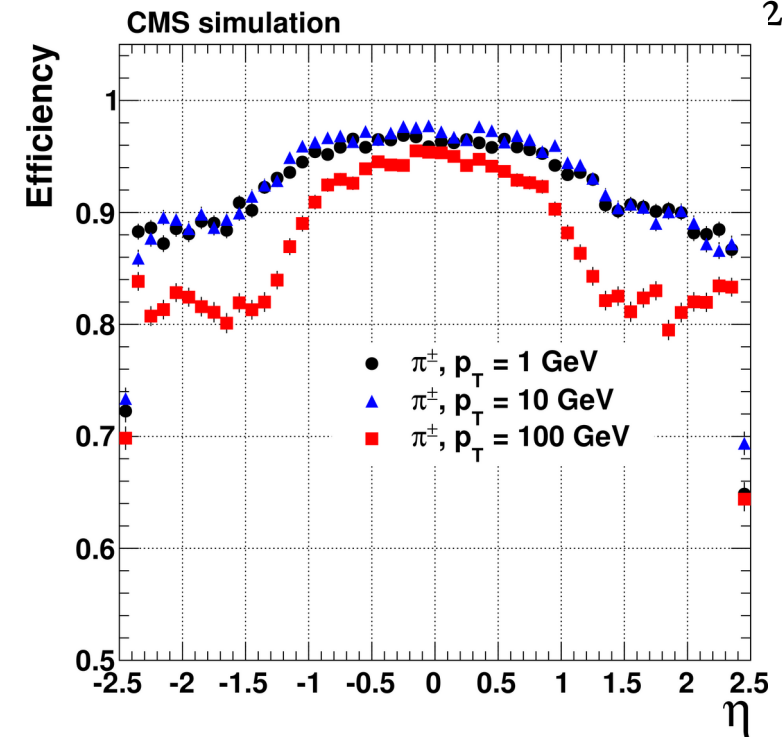
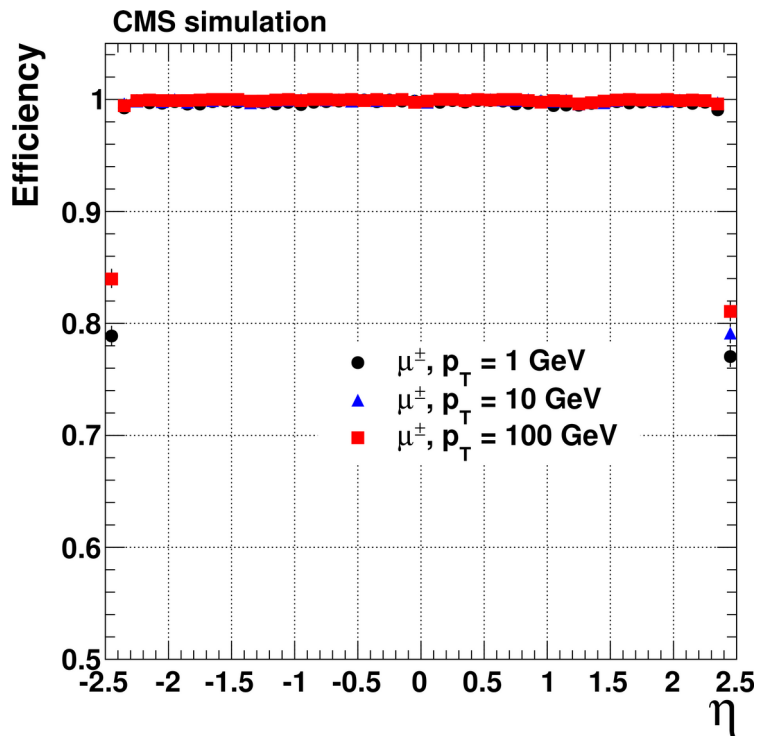
June 2021

CMS Preliminary



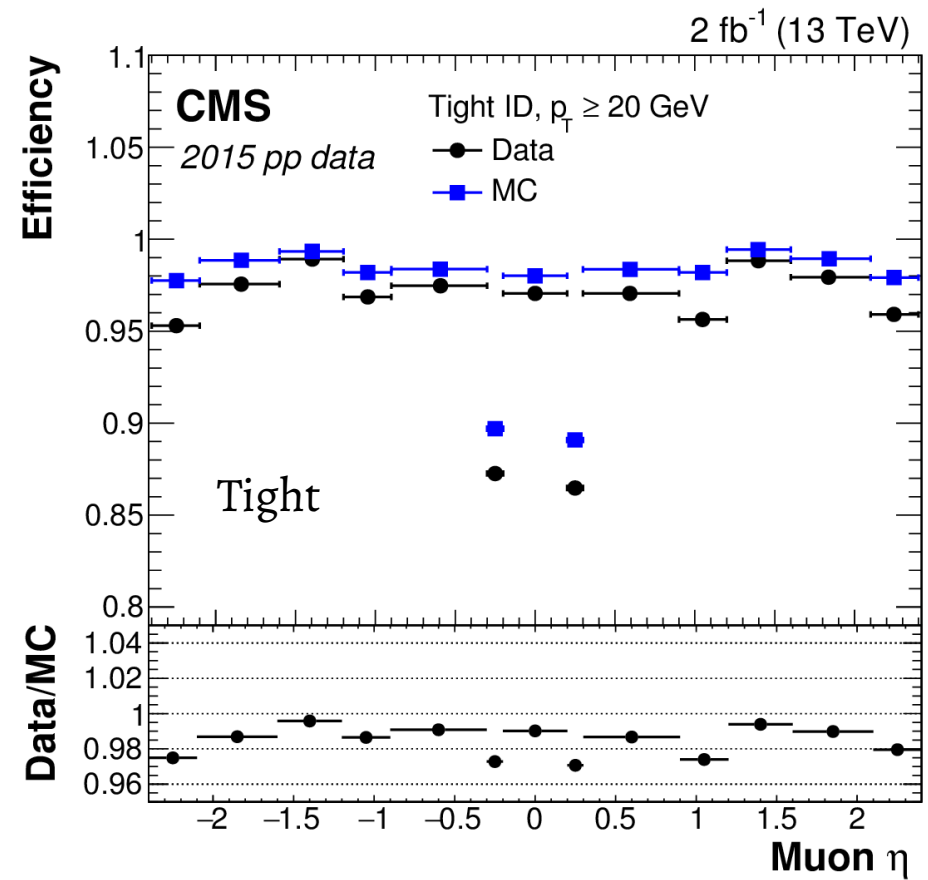
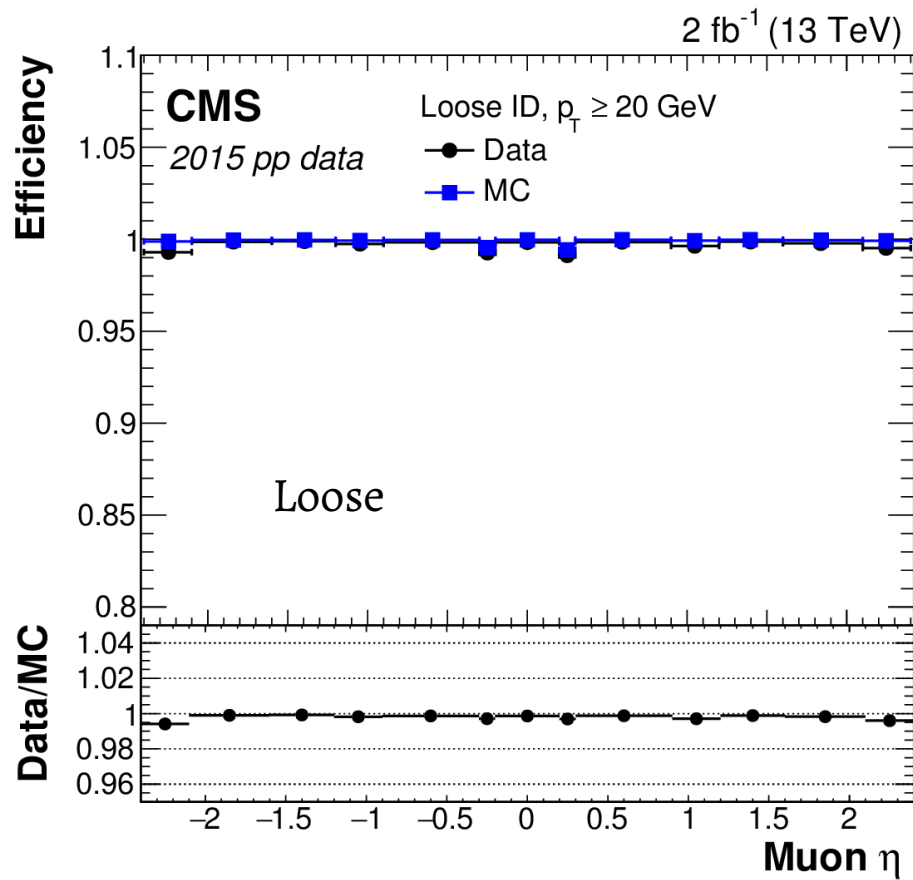
Let us now see some performance plots to get a sense of the numbers

Tracking Efficiency



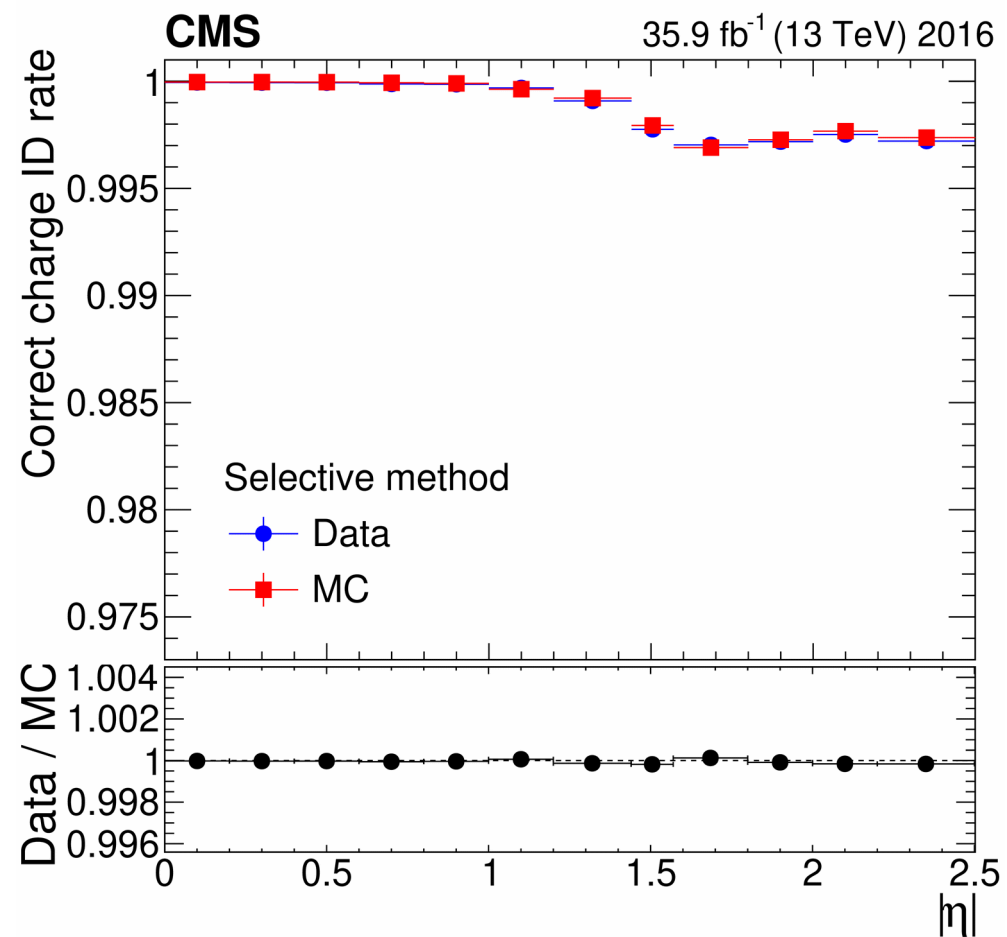
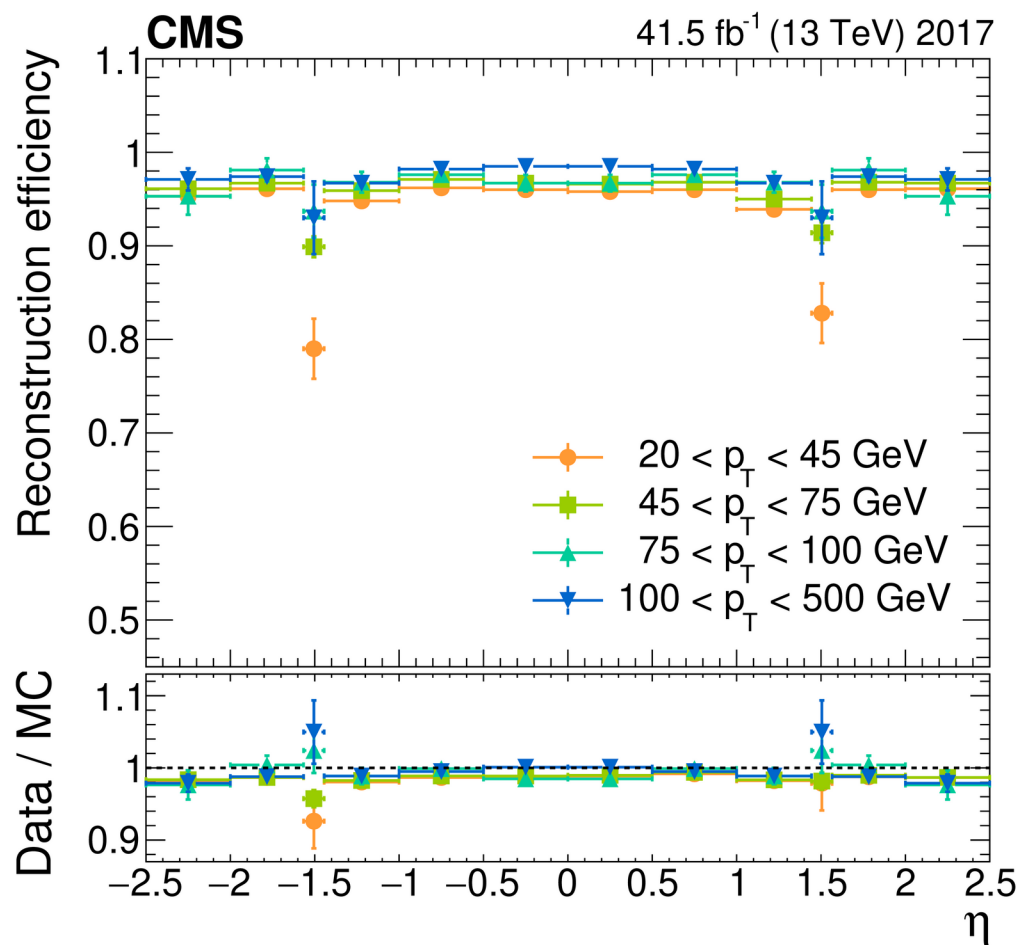
Muon efficiency

JINST 13 (2018) P06015



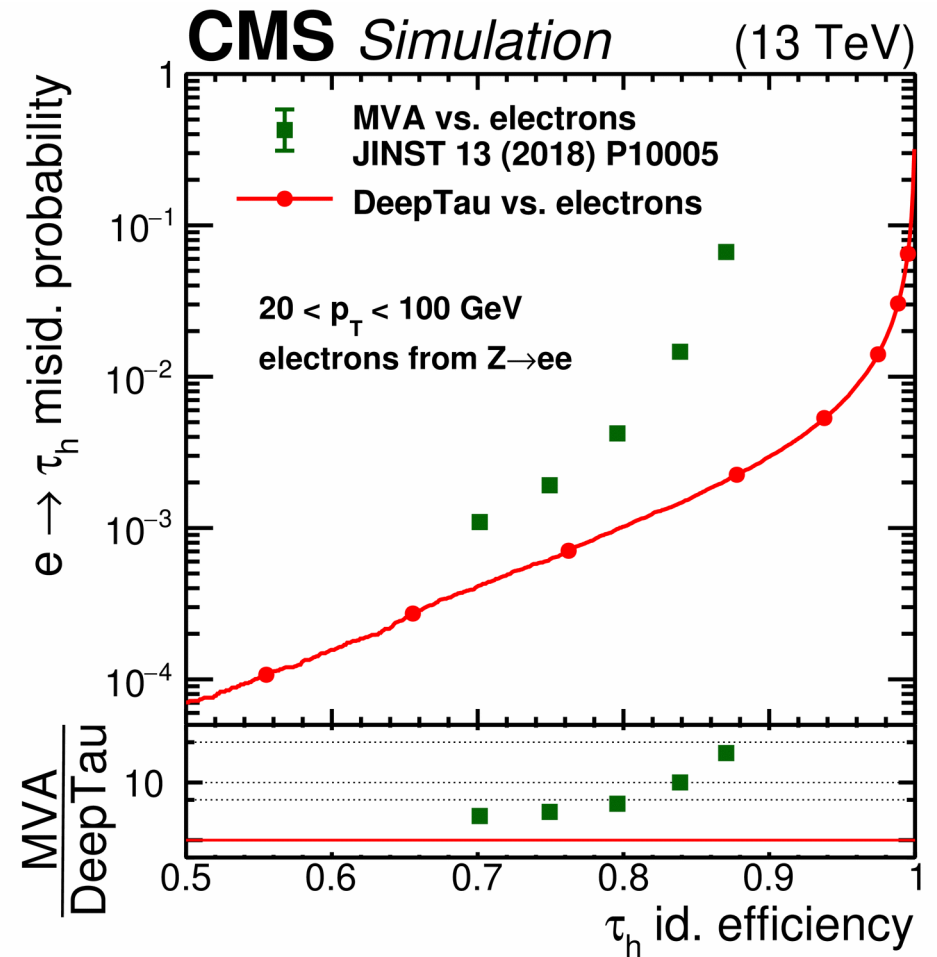
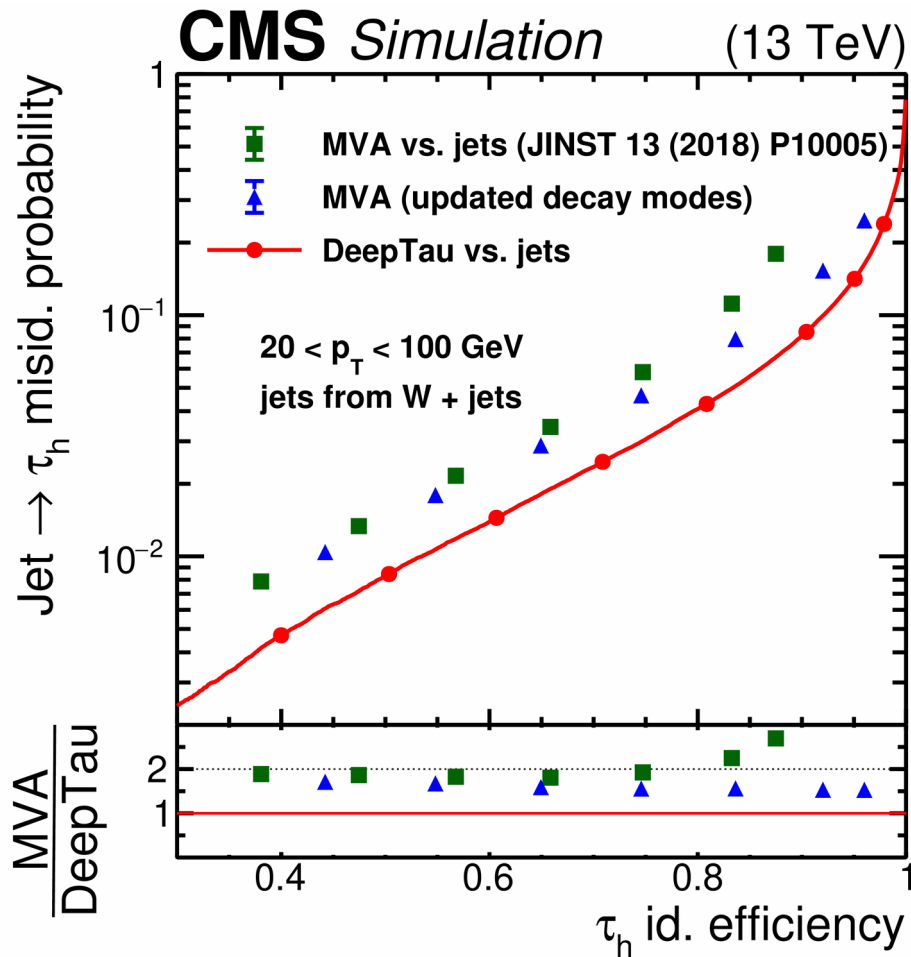
Electron efficiency

JINST 16 (2021) P05014



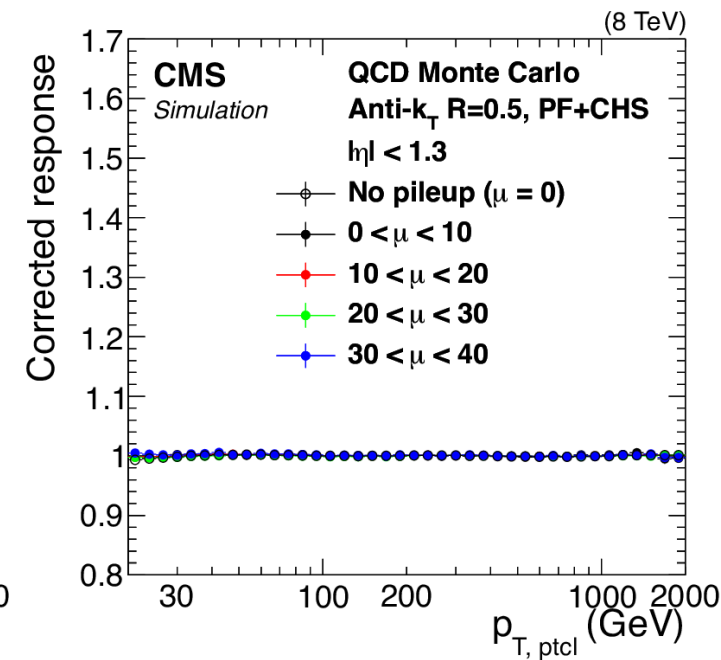
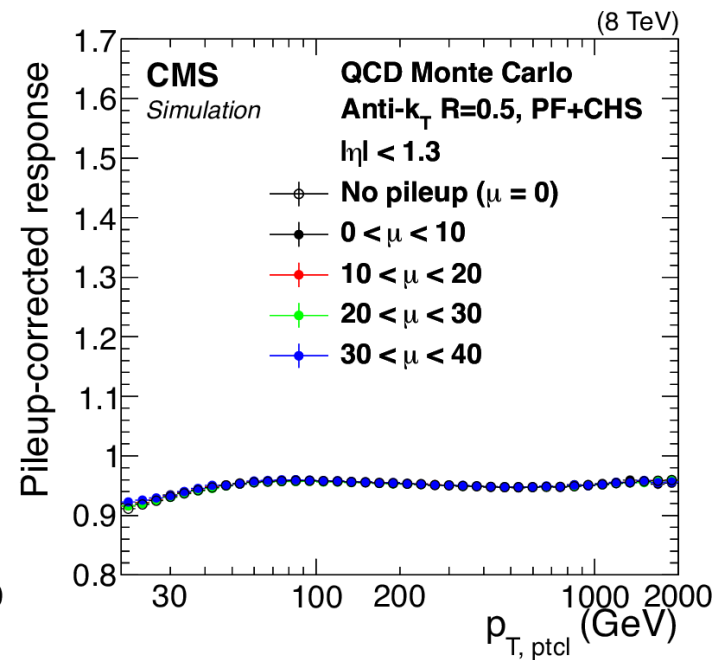
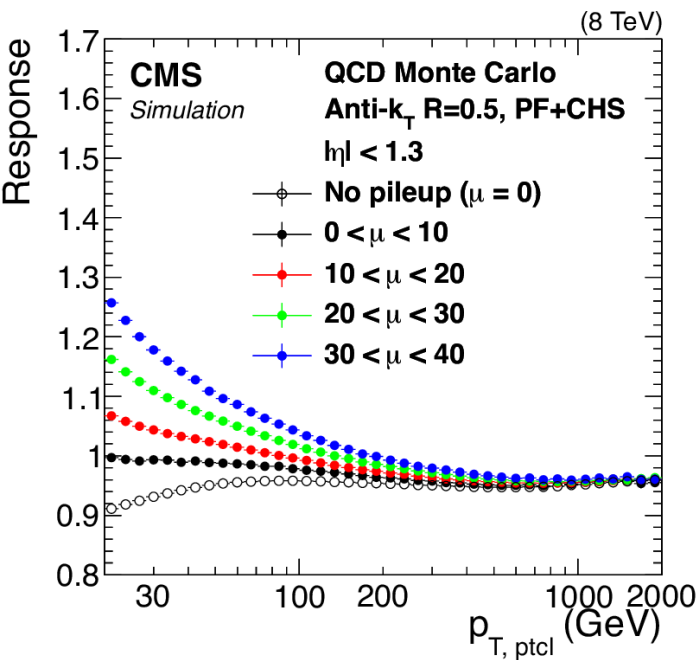
Tau efficiency

JINST 13 (2018) P10005



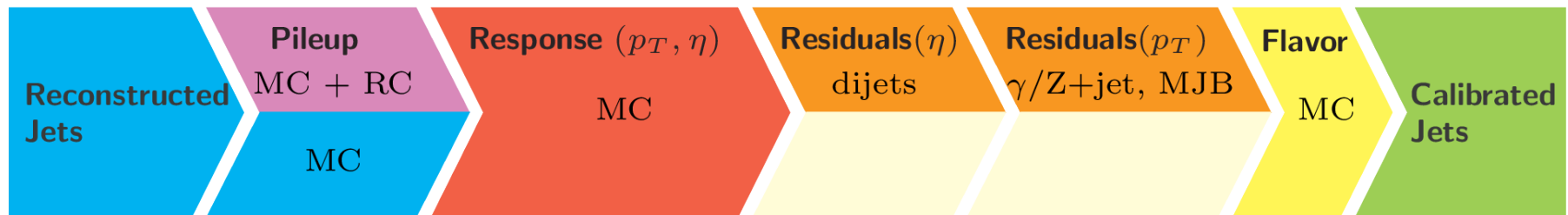
Jets

$$\text{Response} = \frac{\text{measured jet } p_T}{\text{Truth jet } p_T}$$



JINST 12 (2017) P02014

Applied to data \longrightarrow

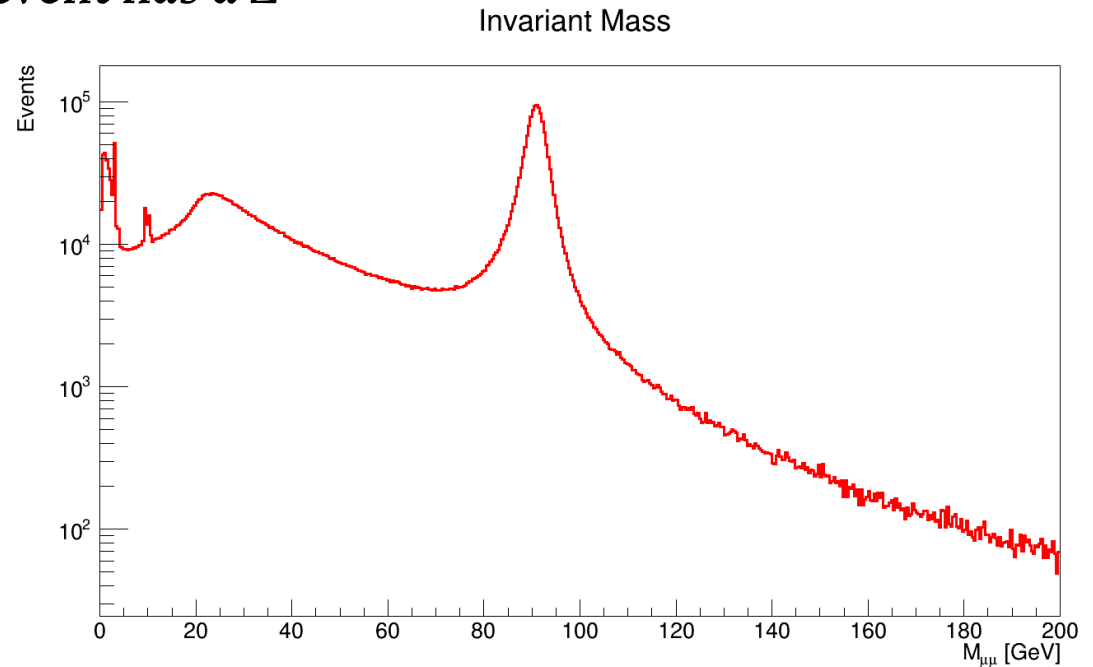
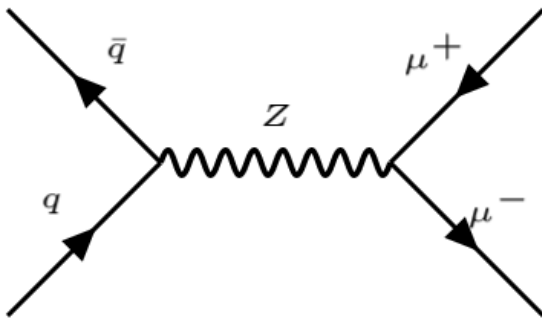


Applied to simulation \longrightarrow

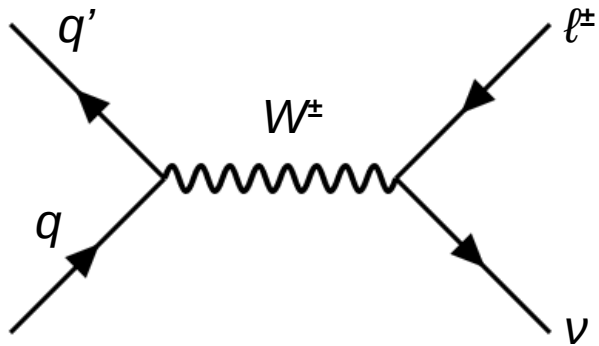
Z-tagging (leptons)

We saw how one can tag an event as having a Z boson

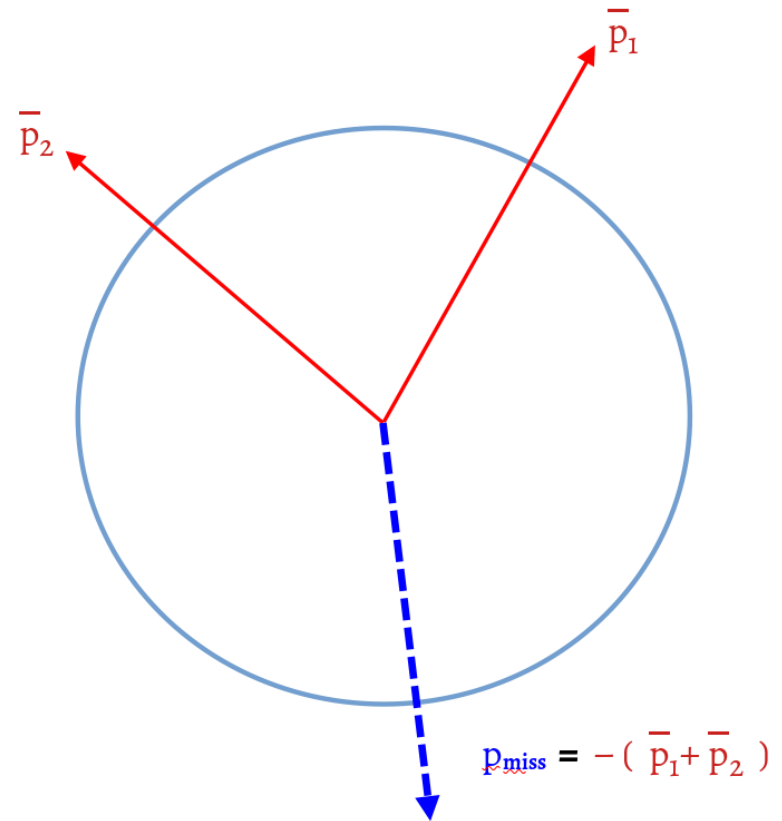
Typically select events with at least two leptons,
If their invariant mass is consistent with that of Z
(i.e. within some window), then the event has a Z



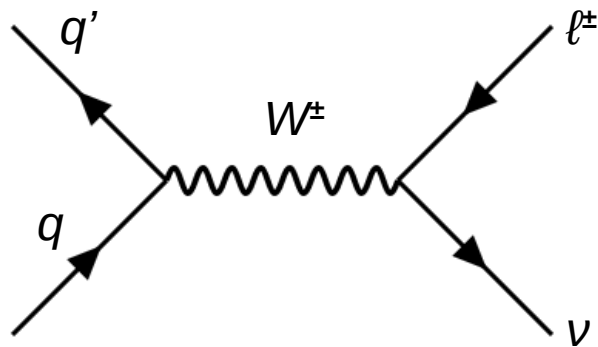
What about W ?



W needs us to reconstruct missing p_T



What about W ?



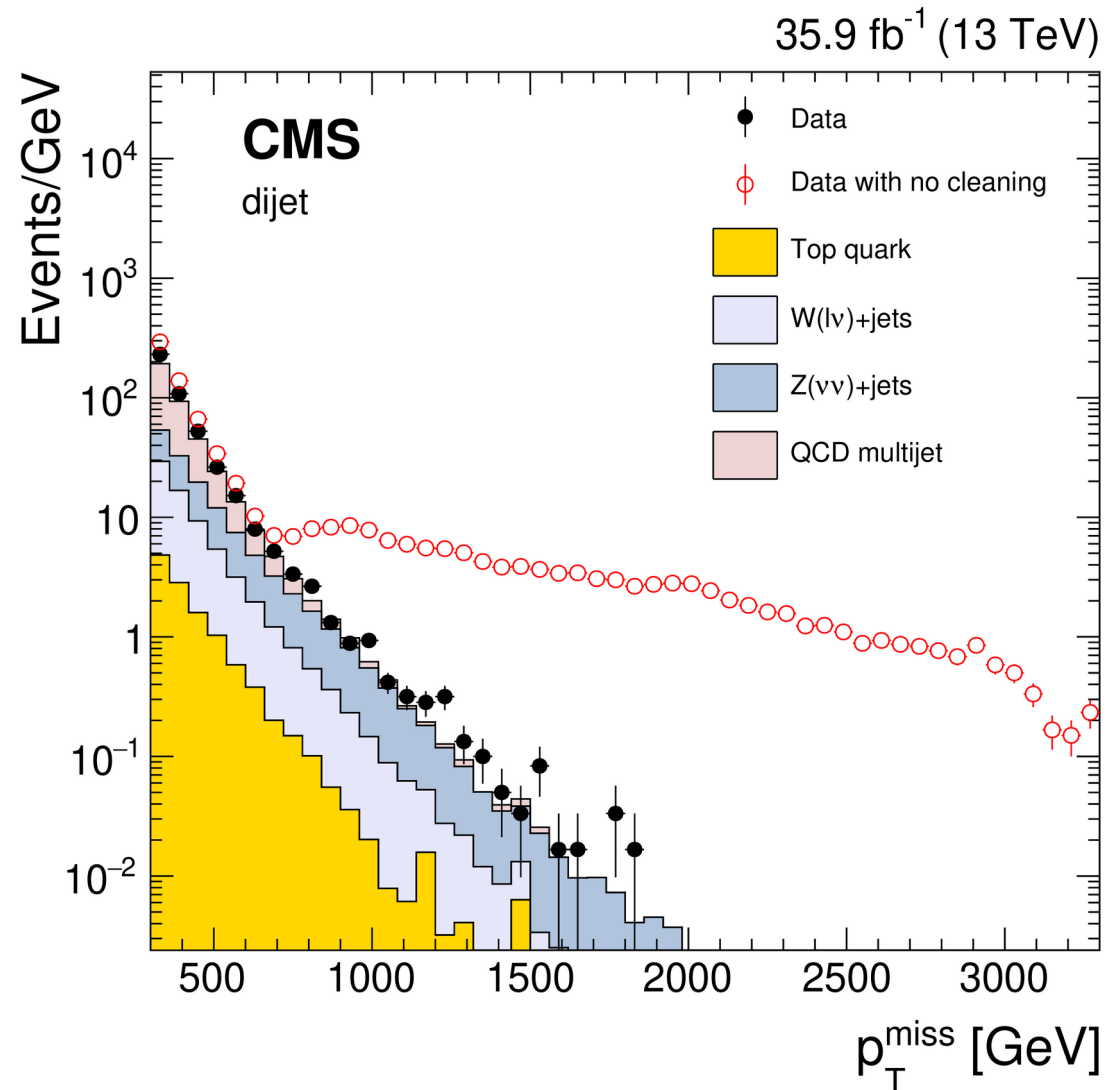
W needs us to reconstruct missing p_T

Before reconstructing $p_{T\text{miss}}$:

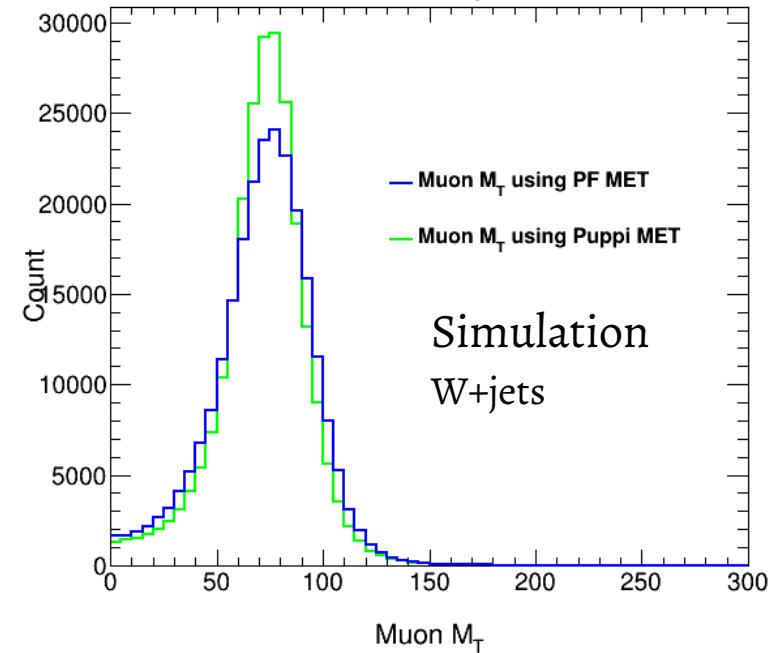
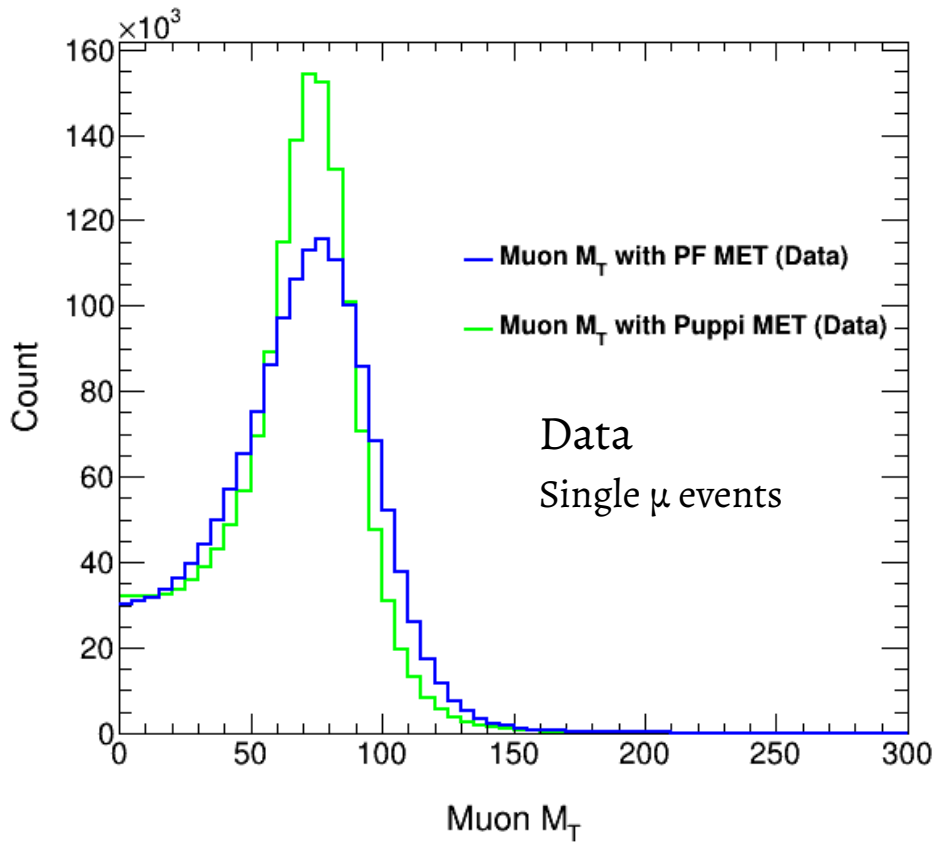
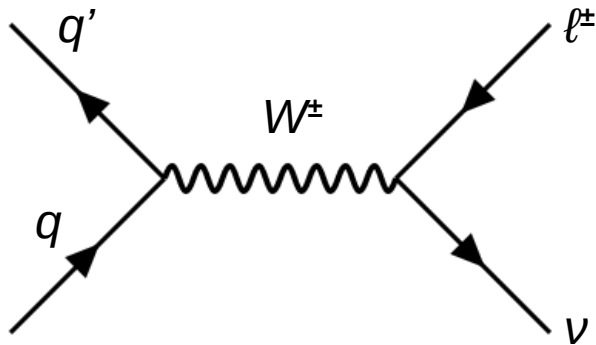
Cleaning: remove anomalous spikes

Filtering: remove noisy events

(electronic noise, beam halo muons,
poorly ID'ed muons)



W-tagging (leptons)



$$M_T = \left[2 p_T^{\text{miss}} p_T^\ell (1 - \cos(\Delta\phi)) \right]^{1/2}$$

Back to analysis

Counting experiments

Counting experiment

Looking for some process (We call this signal).

Make an event selection that we like.

Other SM processes will also pass selection (We call this background)

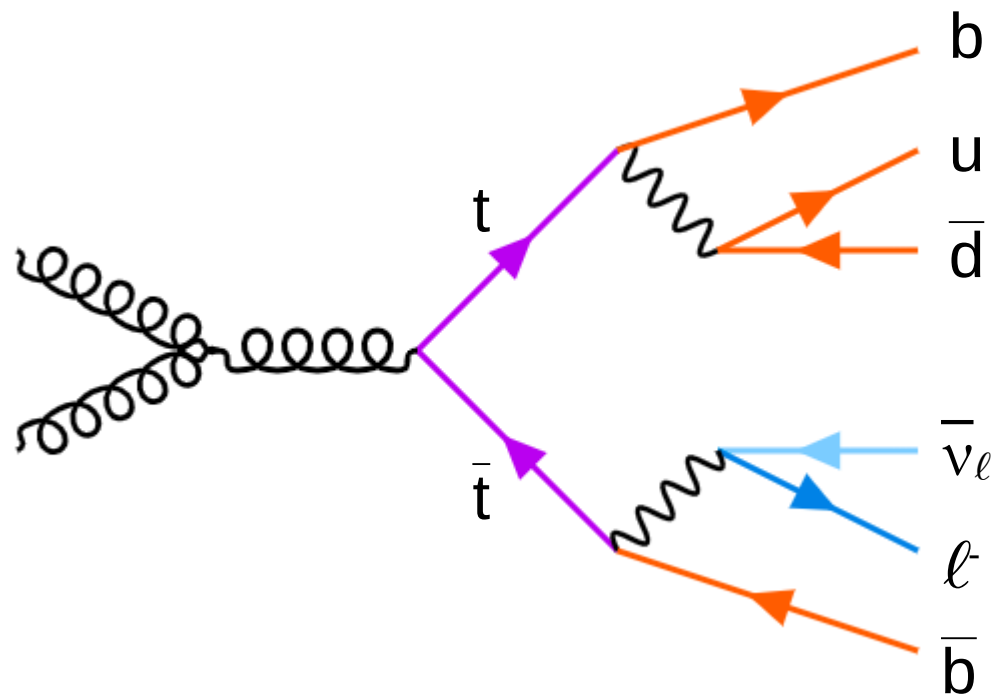
Predict number of background events

Check data, observation.

Does the observation match background prediction?

Or does it match background + some additional signal?

Top discovery

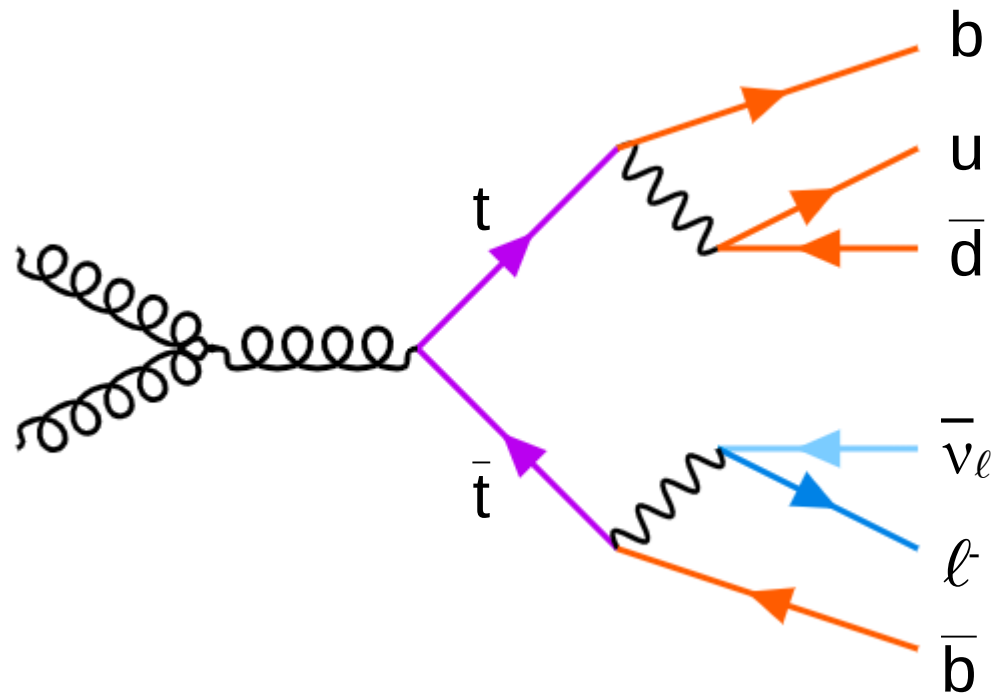


$t \rightarrow Wb$ is 100%

W^+ DECAY MODES

W^+ DECAY MODES	Fraction (Γ_i/Γ)
$\ell^+ \nu$	[b] $(10.86 \pm 0.09) \%$
$e^+ \nu$	$(10.71 \pm 0.16) \%$
$\mu^+ \nu$	$(10.63 \pm 0.15) \%$
$\tau^+ \nu$	$(11.38 \pm 0.21) \%$
hadrons	$(67.41 \pm 0.27) \%$

Top discovery



Select a certain class of events from all collision events
(lepton+jets, with b-tagged jets)

Expect some known processes (at that point) to contribute [WW,Wc].
Is the data completely explained by the known processes or not?

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$$N_{\text{bkg1}} = \mathcal{L}(\sigma B)_{\text{b1}}(A\varepsilon)_{\text{b1}}$$

$$N_{\text{bkg2}} = \mathcal{L}(\sigma B)_{\text{b2}}(A\varepsilon)_{\text{b2}}$$

$$N_{\text{bkg3}} = \mathcal{L}(\sigma B)_{\text{b3}}(A\varepsilon)_{\text{b3}}$$

$$N_{\text{bkg}} = \sum_i N_{\text{bkg}i}$$

Is the observation, N_{obs}

consistent with N_{bkg} , or with

$N_{\text{bkg}} + N_{\text{sig}}$

$$N_{\text{obs}} \stackrel{?}{=} N_{\text{bkg}}$$

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$$N_{\text{obs}} = N_{\text{bkg}} + N_{\text{sig}}$$

As we shall see, backgrounds can be estimated from data too....

Top discovery

N_{jet}	observed events	observed SVX tags	background tags expected
1	6578	40	50 ± 12
2	1026	34	21.2 ± 6.5
3	164	17	5.2 ± 1.7
≥ 4	39	10	1.5 ± 0.4



Table 1: Number of lepton+jet events in the 67 pb^{-1} data sample along with the numbers of SVX tags observed and the estimated background. Based on the excess number of tags in events with ≥ 3 jets, we expect an additional 0.5 and 5 tags from $t\bar{t}$ decay in the 1 and 2 jet bins respectively.

SVX tag = b -tag

Phys. Rev. Lett. 74, 2626 (1995)

Top discovery

Phys. Rev. Lett. 74, 2626 (1995)

Channel:	SVX	SLT	Dilepton
observed	27 tags	23 tags	6 events
expected background	6.7 ± 2.1	15.4 ± 2.0	1.3 ± 0.3
background probability	2×10^{-5}	6×10^{-2}	3×10^{-3}

The probability that background fluctuated to give this observation is 10^{-6} , which is 4.8σ

Since observation is not explained by background, there is additional signal present.. in this case the

top quark!

A bump hunt

Bump hunt

Looking for some process (We call this signal).

Make an event selection that we like.

Other SM processes will also pass selection (We call this background)

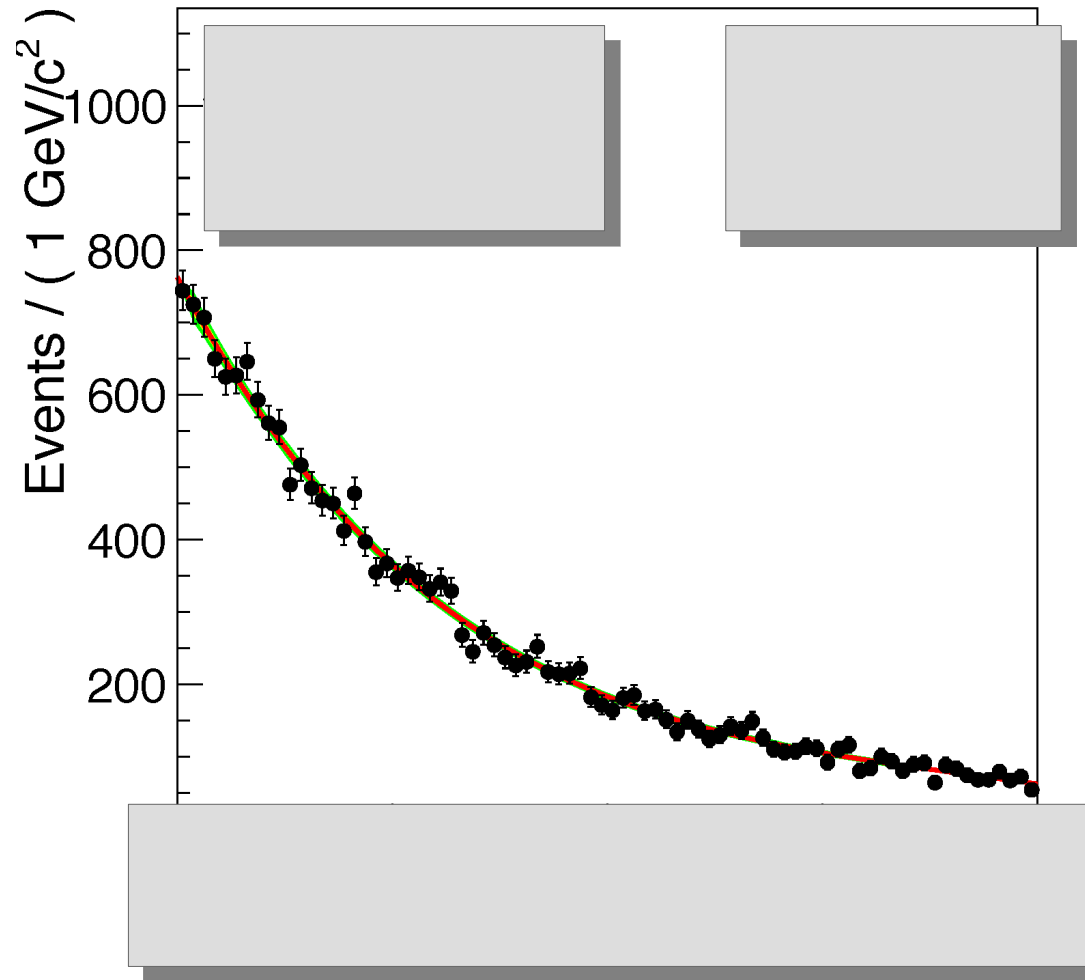
Predict ~~number~~ distribution of background events

Check data, observation.

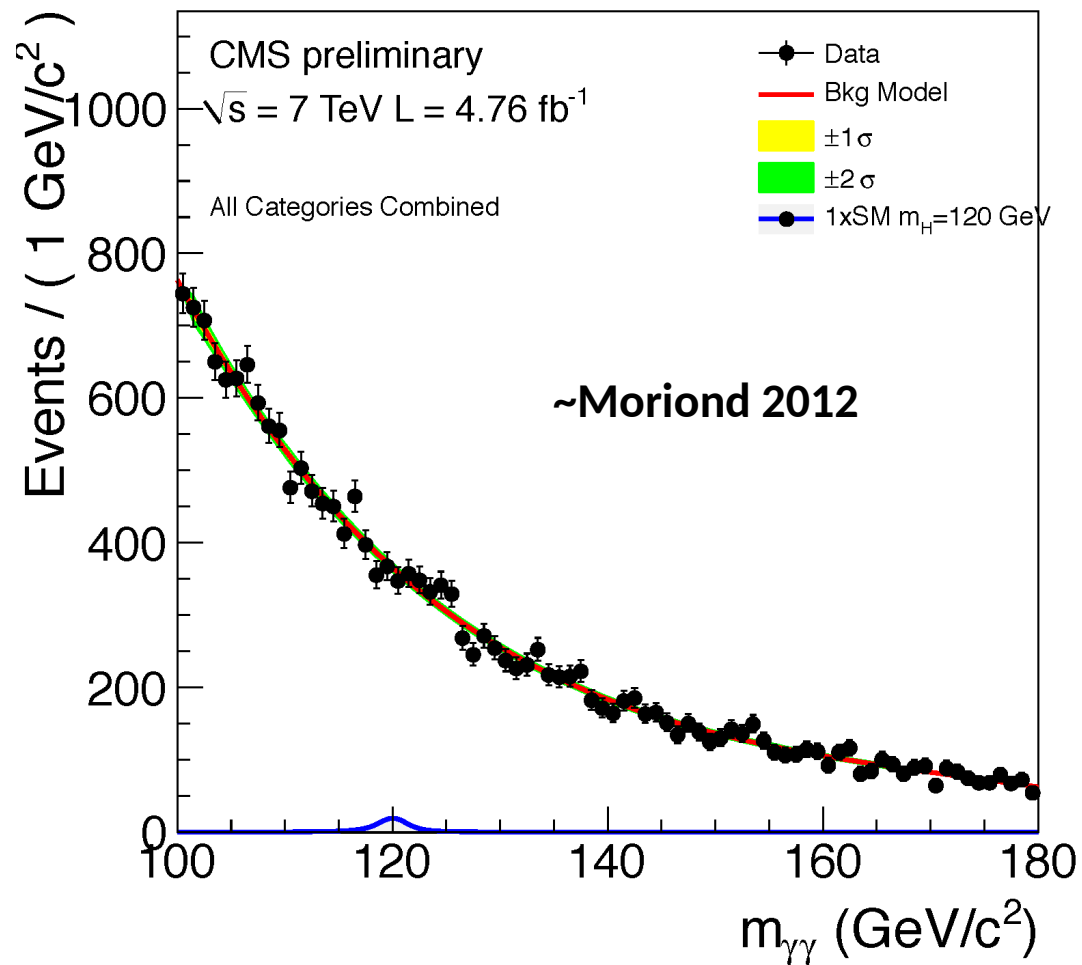
Does the observed distribution match background prediction?

Or does it match background + some additional signal?

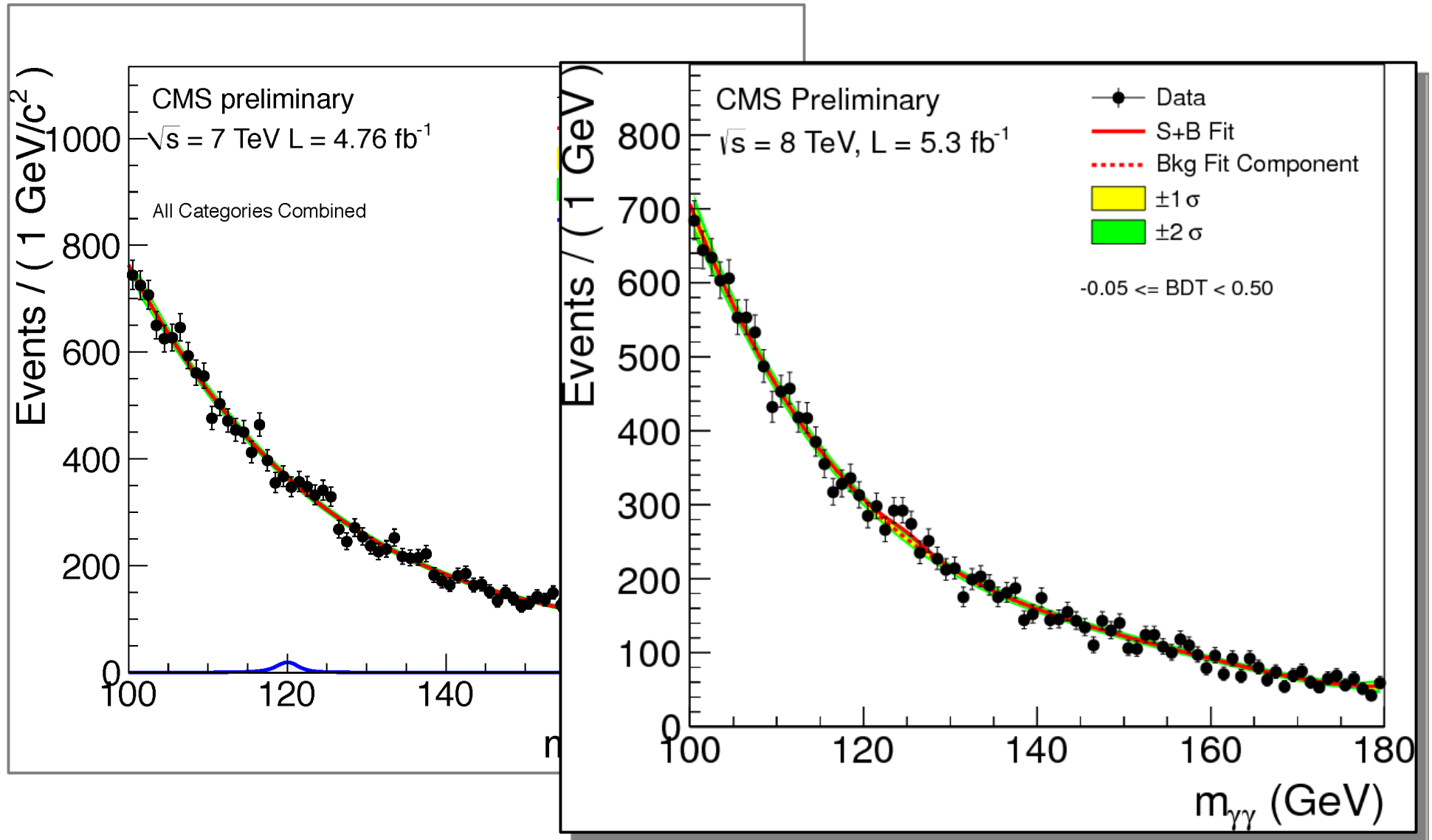
Some bump hunt



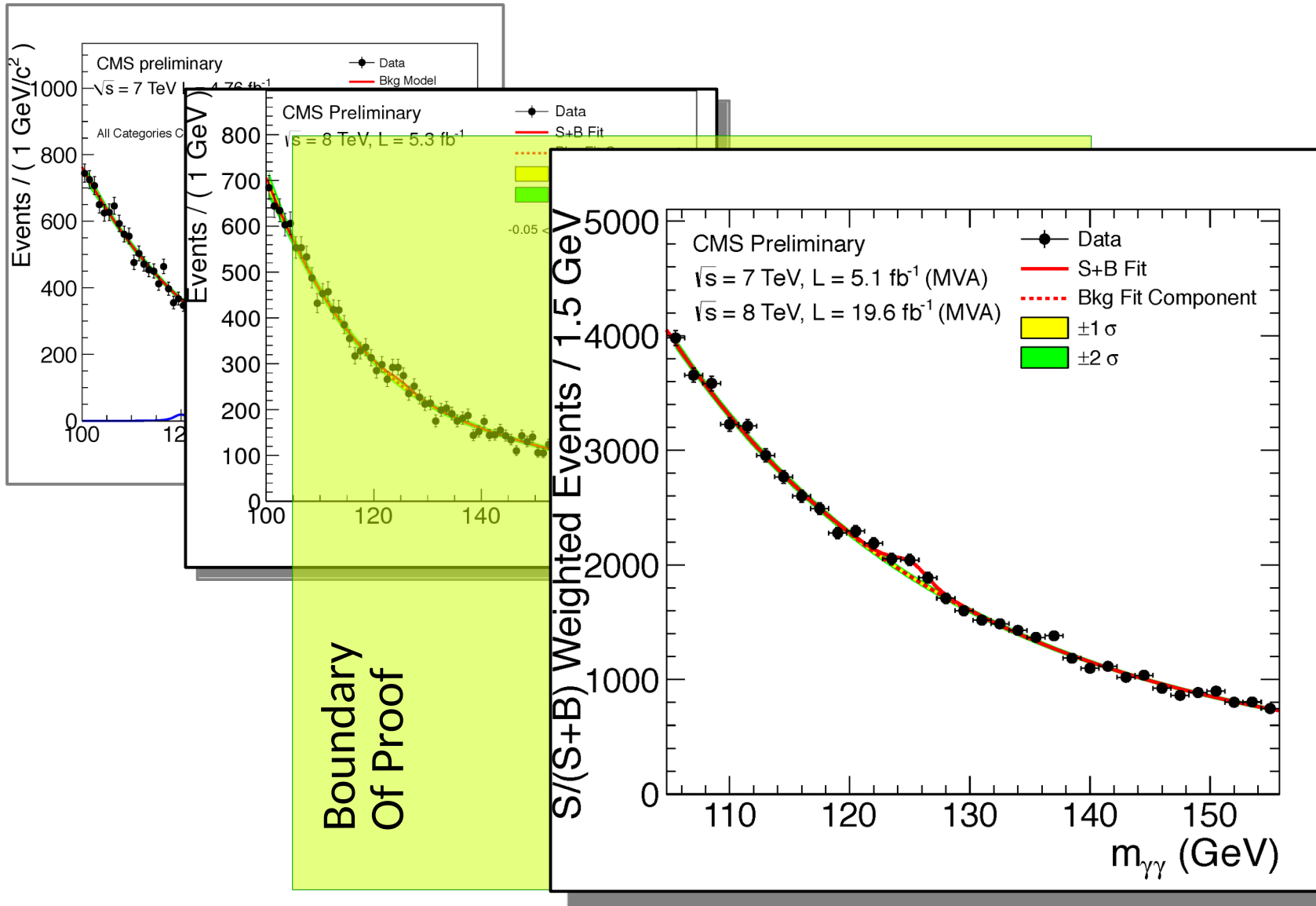
Higgs search



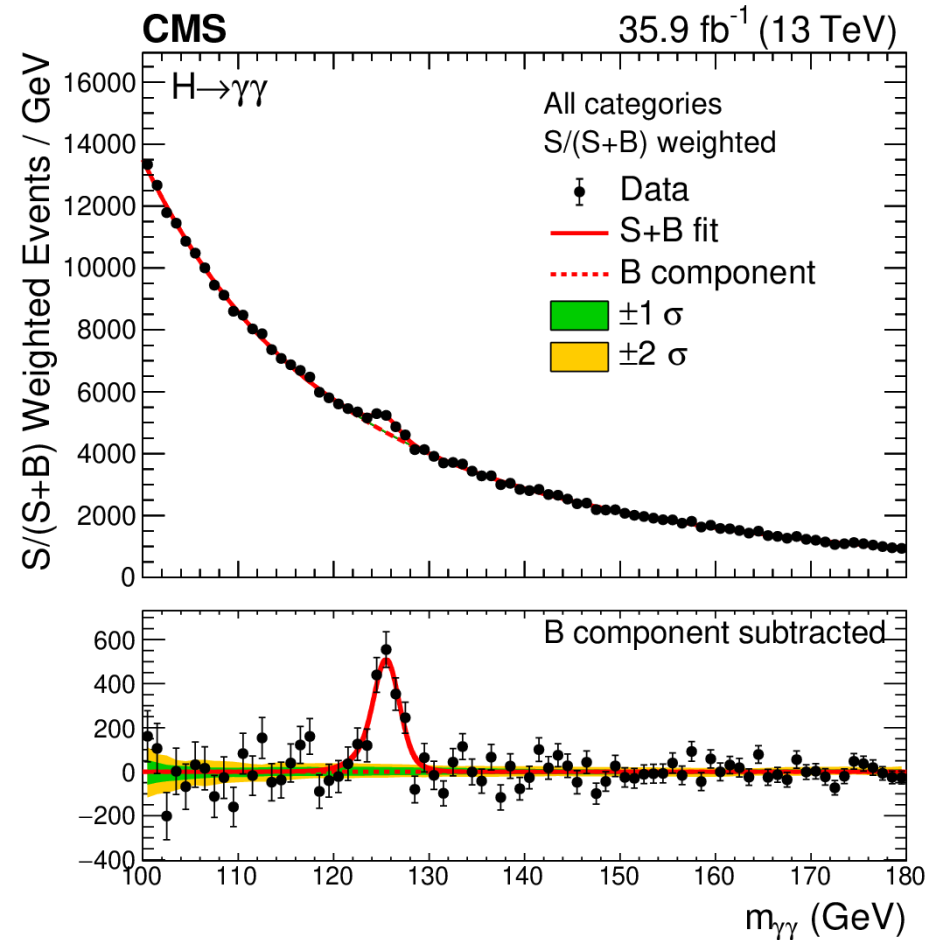
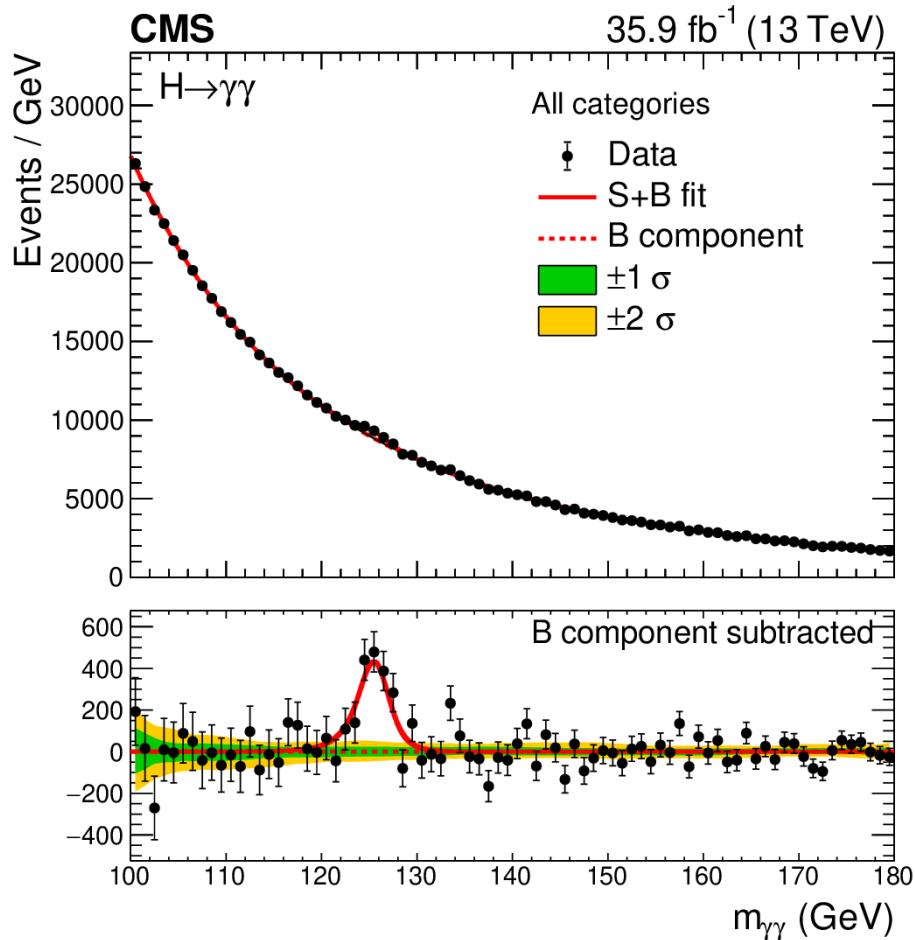
Higgs search



Higgs search



With 13 TeV



Limits...

What happens when the observation matches the background?

Thus no signal is found (obviously)... but can we say something about the signal?

Limits...

What happens when the observation matches the background?

Thus no signal is found (obviously)... but can we say something about the signal?

Two options

- (a) Model for signal does not predict reality OR
- (b) Collider not producing enough events model says.

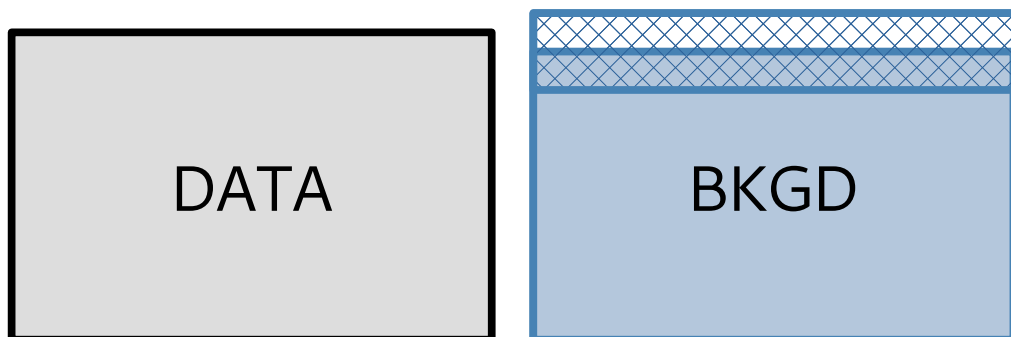
Leads to constraints on model, or ruling out some parameter space for models.



DATA



BKGD

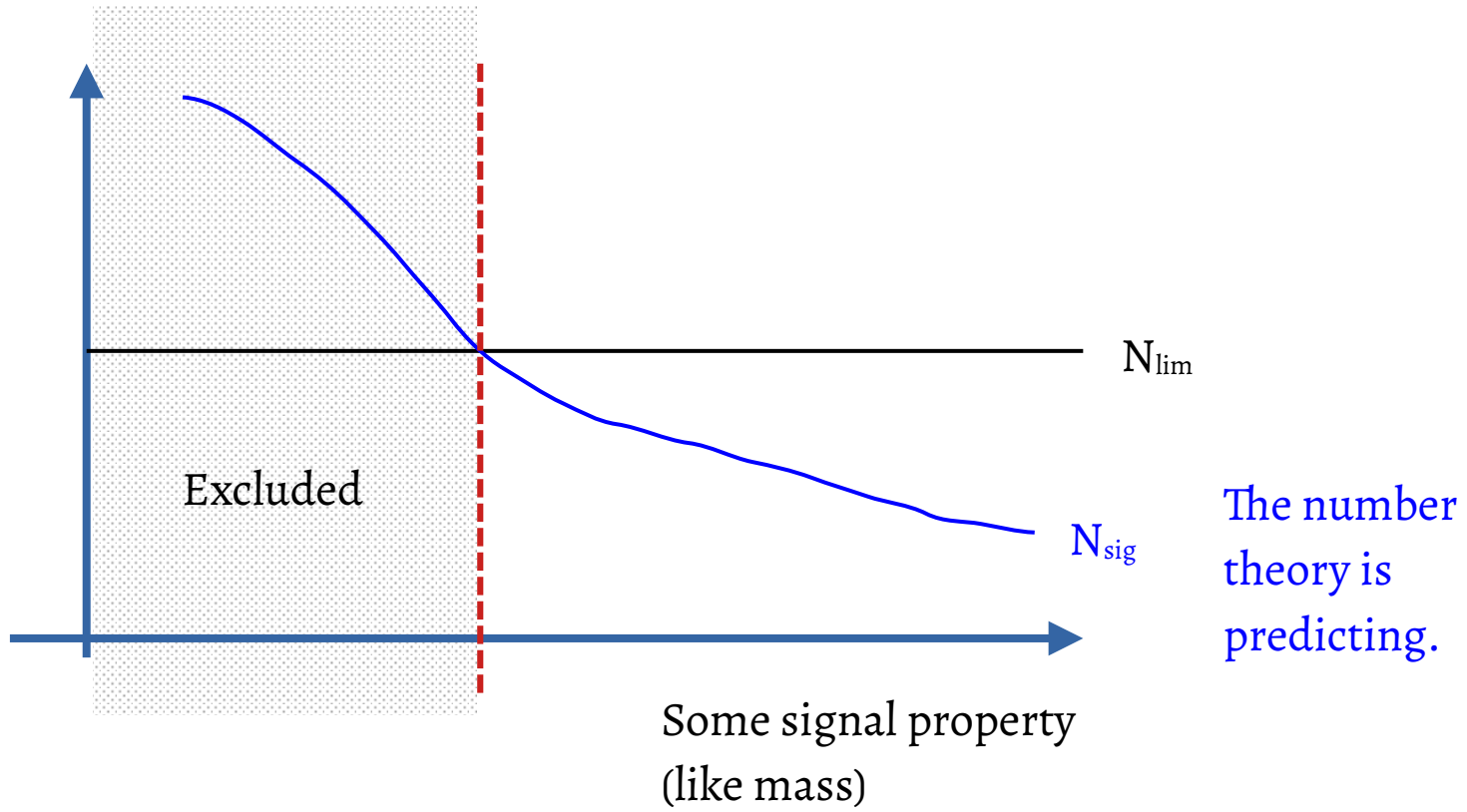


But there are uncertainties involved, certainly in the background prediction... but also inherent in the data.



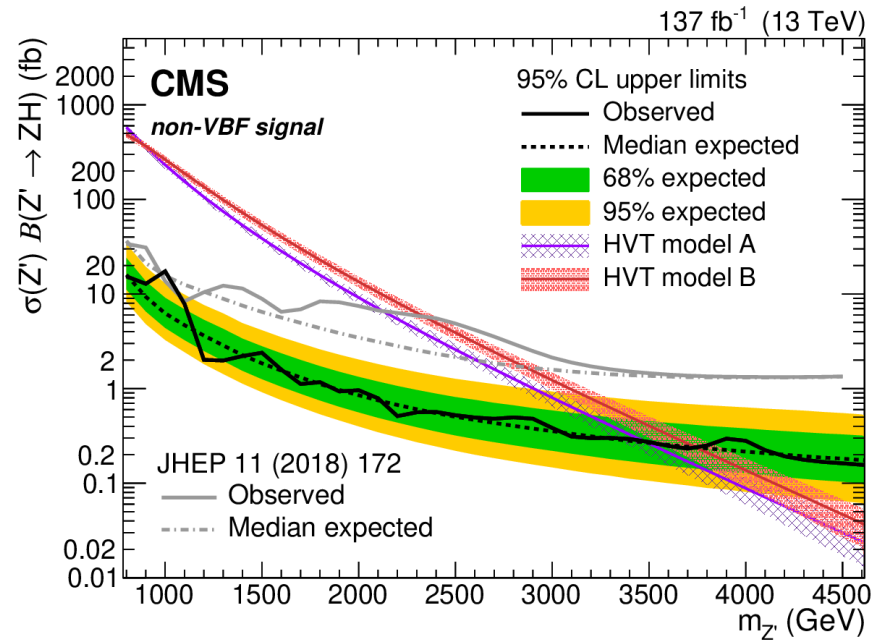
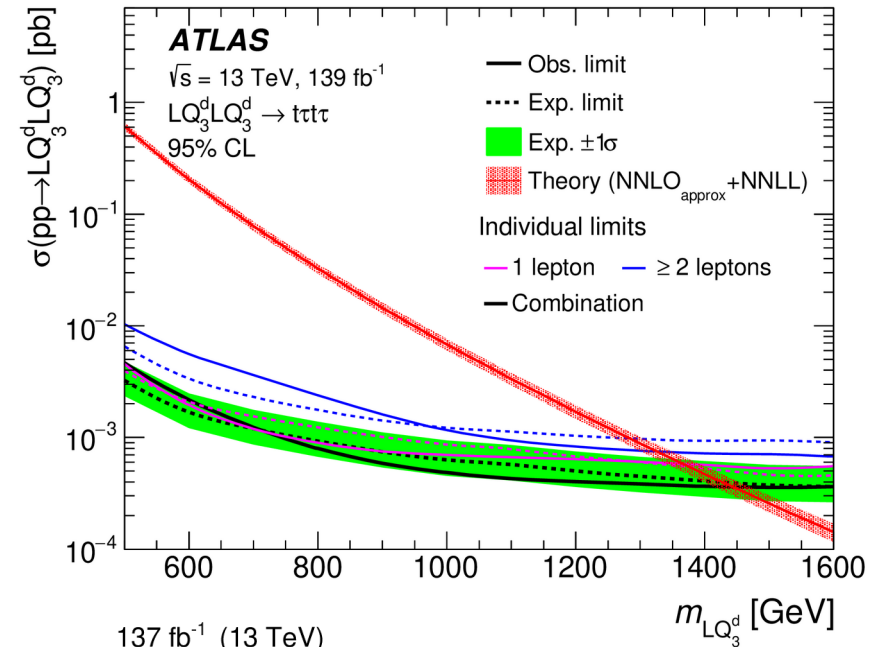
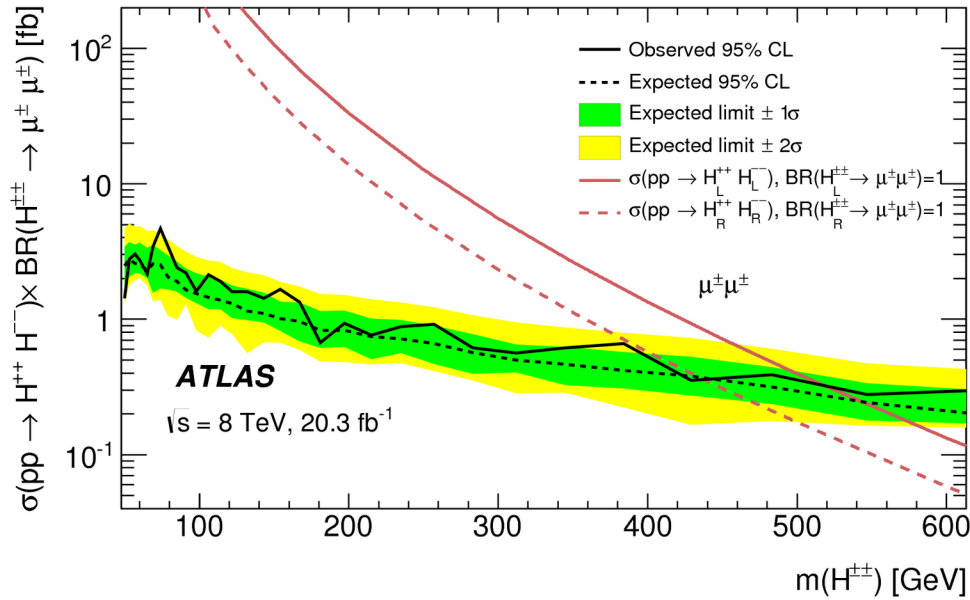
But there are uncertainties involved, certainly in the background prediction... but also inherent in the data.

What is the maximum amount of signal that could be hidden in the data without us noticing?

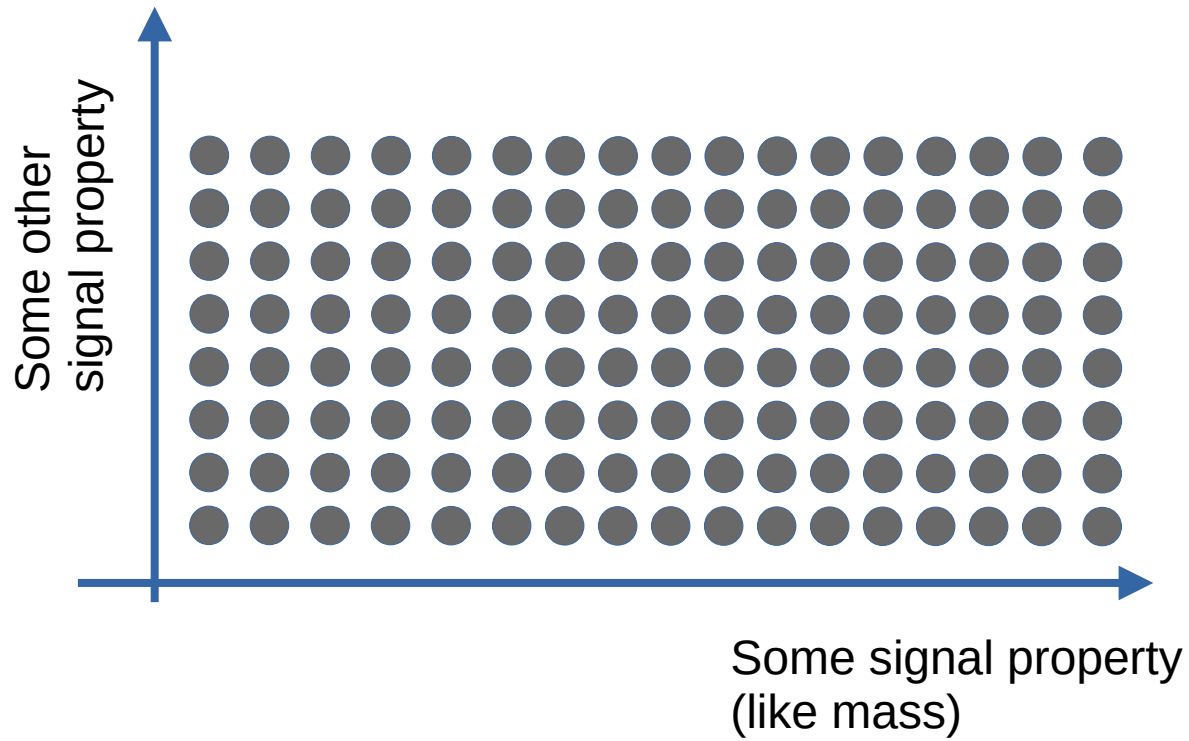


Examples

$$(\sigma B)_{\text{lim}} = N_{\text{lim}} / (L A \epsilon)$$

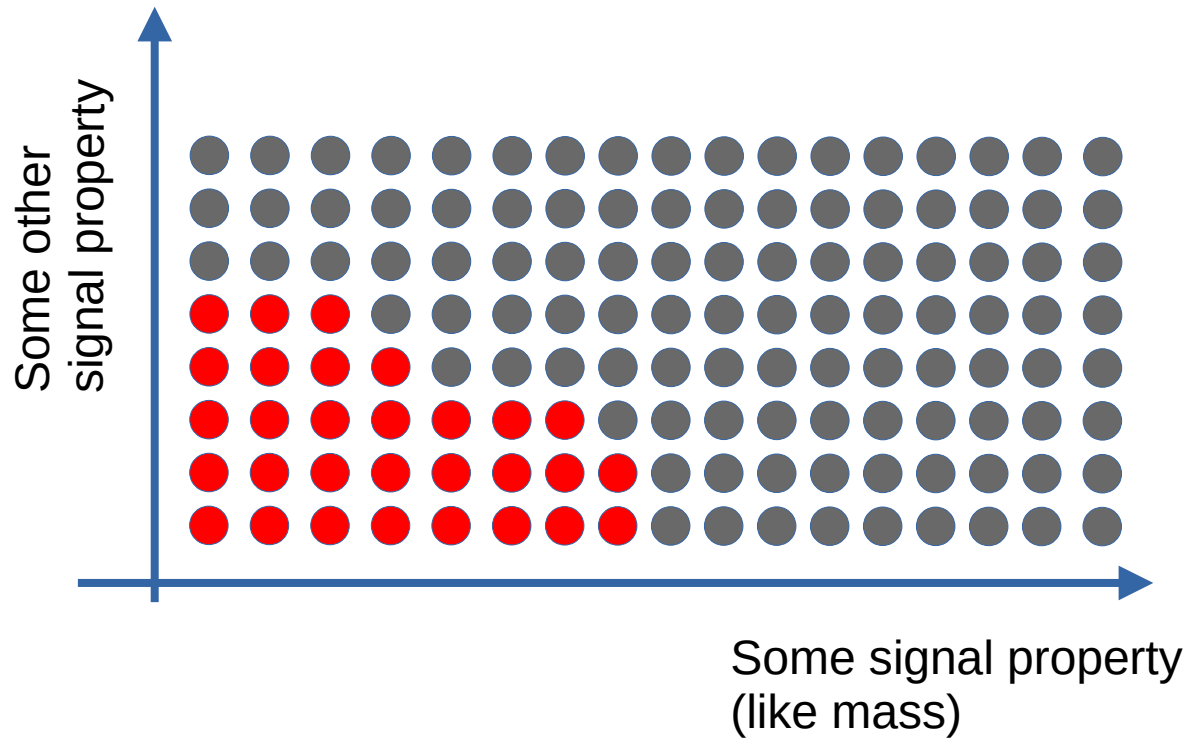


2D limits



At each point, compare N_{lim} and N_{sig} . ●

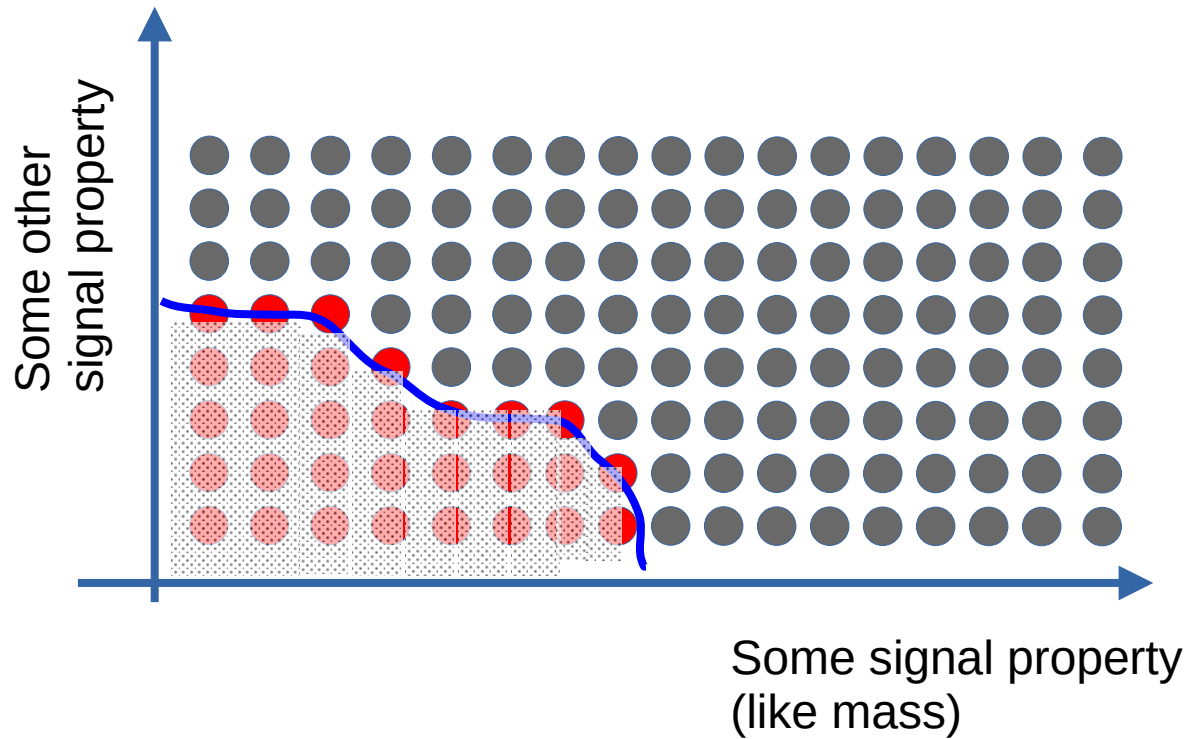
2D Limits



At each point, compare N_{lim} and N_{sig} .

Whenever $N_{\text{sig}} > N_{\text{lim}}$, we rule out the signal. ●

2D Limits



At each point, compare N_{lim} and N_{sig} .

Whenever $N_{\text{sig}} > N_{\text{lim}}$, we rule out the signal. ●

Draw a contour around what is excluded.

Examples

