

TARGET, HORN AND ENERGY DEPOSITION STUDIES FOR SPL-SUPERBEAM

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WP2

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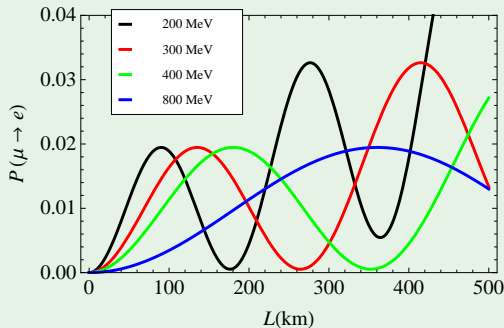
- Introduction – SPL Superbeam basic parameters
- Target studies – low- and high-Z materials
 - ⇒ particle types and multiplicities
 - ⇒ particle distributions
 - ⇒ energy deposition
- Horn studies
 - ⇒ physics optimisation
 - ⇒ some results
 - ⇒ other options - Miniboone, Bi-conic, integrated target
- Energy deposition studies
 - ⇒ experimental setup
- Conclusion

SPL Superbeam setup - parameters

SPL SUPERBEAM – ν_μ -OSCILLATIONS

- ν_μ disappearance $P_{\mu \rightarrow \mu} \sim \cos^4 \theta_{13} \sin^2(2\theta_{23}) \sin^2(\Delta m_{32}^2 L/4E_\nu)$
 $\rightarrow \mu \Leftrightarrow \tau$ mixing maximal?
- ν_e appearance $P_{\mu \rightarrow e}(\theta_{13,23}, \delta_{CP}, \Delta m_{21,31}^2, \sqrt{2}G_F n_e)$
 \rightarrow exact $\theta_{13} = 0$?
 \rightarrow CP violation $\delta_{CP} \neq 0$?
 \rightarrow normal or inverted mass hierarchy? (for long baseline only)

OSCILLATION PROBABILITY $\nu_\mu \rightarrow \nu_e$ VS. BASELINE L FOR $E_\nu \sim (200 - 800)$ MEV



- $\Delta m_{21}^2 = 7.59 \times 10^{-5} eV^2$,
 $\Delta m_{31}^2 = 2.51 \times 10^{-3} eV^2$
- $\theta_{12} = 34.4^\circ$,
 $\theta_{23} = 42.3^\circ$
- $\theta_{13} = 5.7^\circ$
 $\Leftrightarrow \sin^2(2\theta_{13}) \leq 0.04$
- $\delta_{CP} = 0^\circ$

conventional accelerator experiment: ν_μ ($\bar{\nu}_\mu$) beam from π^\pm decay

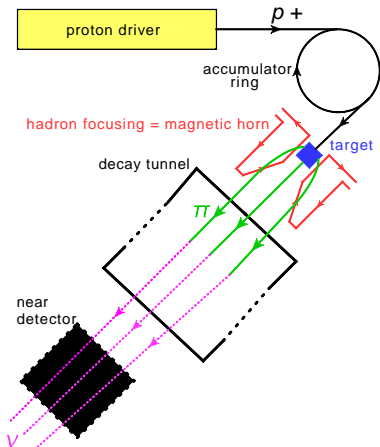
p^+ -BEAM @ CERN,
power: 4 MW,
pulse frequency: 50 Hz,
kin. beam energy: ~ 5 GeV,
pulse duration: $\lesssim 5 \mu\text{s}$
profile: preferably uniform

TARGET solid low-Z material
(Be, C, Al, ...)

HORN current: $I \sim 300$ kA

DECAY TUN $L = 40$ m, $R = 2$ m

FAR DET @ Fréjus,
base line: 130 km,
440 kt (fiducial mass)
Water-Cherenkov



Target studies

A comparative study of **low- and high- Z^{tg}** target materials

Z^{tg}	ρ [g/cm ³]	λ_I [g/cm ²]	λ_I/ρ [cm]
Be	1.85	77.8	42.1
C	1.85	85.8	46.4
Al	2.7	107.2	39.7
AlBeMet ^{*)}	2.1		
Ta	16.69	191.0	11.4
W	19.25	191.9	10.0
Hg	13.546	197.5	14.6

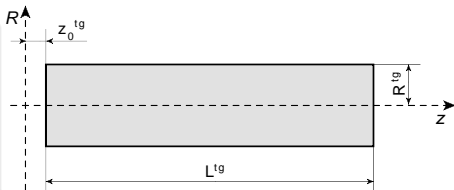
^{*)} AlBeMet = 61% Be, 38% Al, 1% O (mass fraction)

SIMULATIONS WITH FLUKA

- using FLUKA (Oct. 2009) - default parameter set
- scoring of secondary particles at target surface (ID, number, pos, mom)

CYLINDRICAL TARGET

- Z^{tg} ... target material
- $L^{\text{tg}}[\text{cm}]$... target length
- $R^{\text{tg}}[\text{cm}]$... target radius



ρ^+ -BEAM PARAMETERS

- $E_{kin}^{\text{bm}}[\text{GeV}]$... kinetic energy
- $\sigma^{\text{bm}}[\text{cm}]$... width of gaussian beam profile

REFERENCE TARGET

$$Z^{\text{tg}} = \text{C}, L^{\text{tg}} = 78 \text{ cm},$$

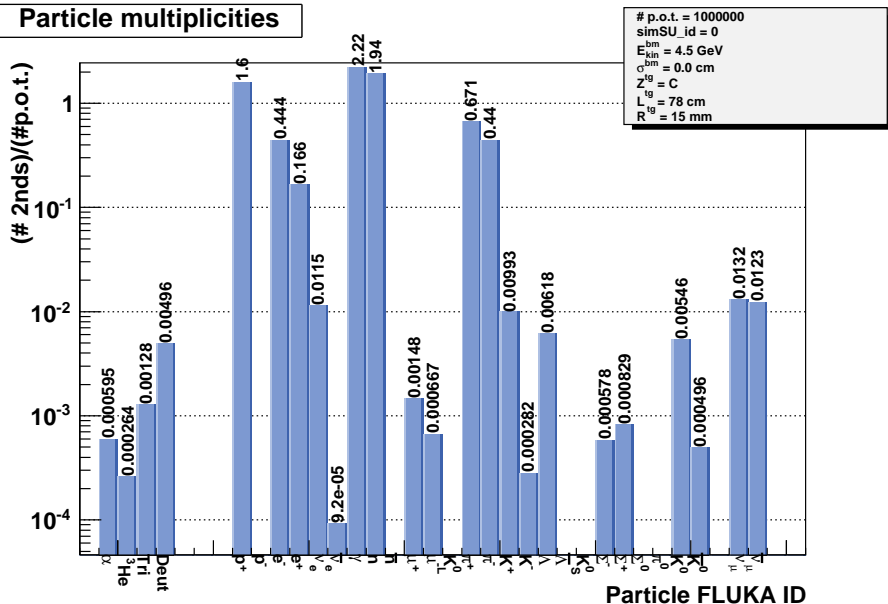
$$R^{\text{tg}} = 1.5 \text{ cm},$$

$$E_{kin}^{\text{bm}} = 4.5 \text{ GeV}, \sigma^{\text{bm}} = 0.0 \text{ cm}$$

$$\text{particle multiplicity of type } j = \frac{\# \text{ of 2ndy particles of type } j}{\# \text{ of p.o.t}}$$

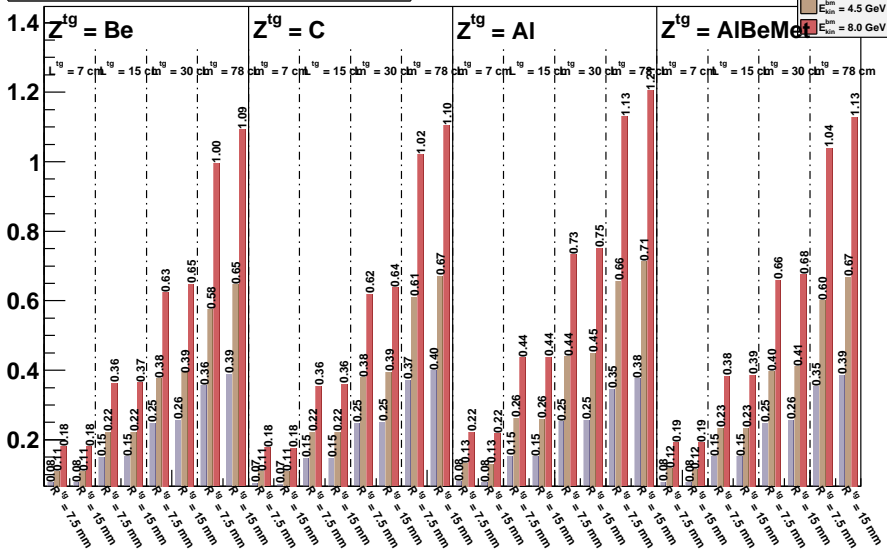
TARGET STUDIES — 2NDY PARTICLE IDS AND MULTIPLS

Particle multiplicities



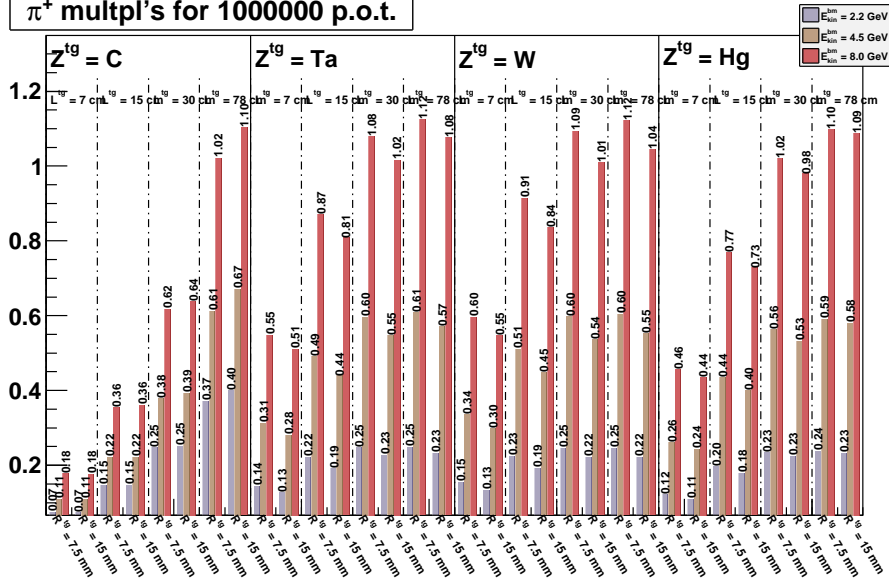
TARGET STUDIES – LOW $Z^{\text{tg}} = \{\text{Be, C, Al, AlBeMet}\}$

π^+ multpl's for 1000000 p.o.t.

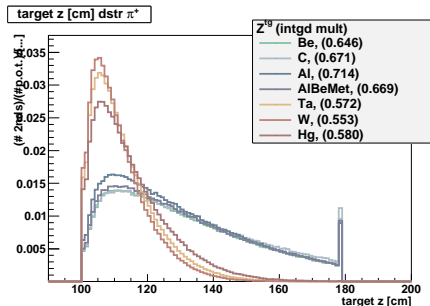
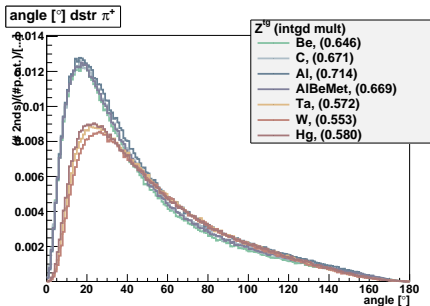
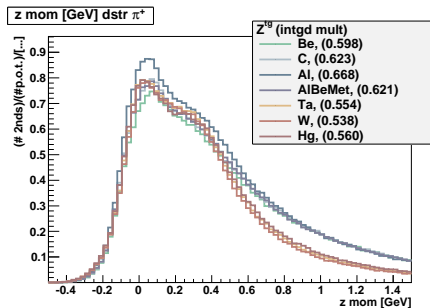
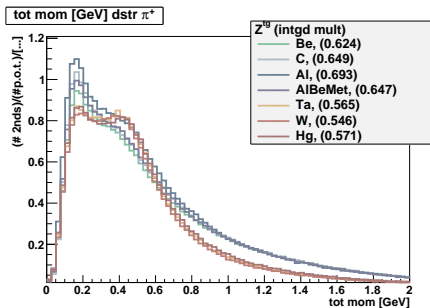


TARGET STUDIES – HIGH $Z^{tg} = \{Ta, W, Hg\}$

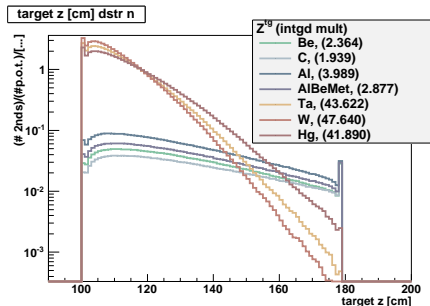
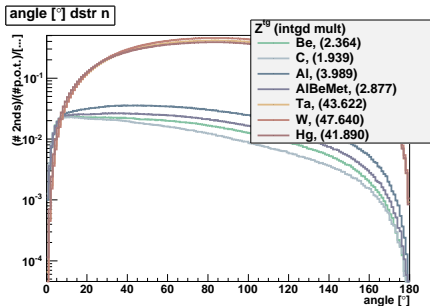
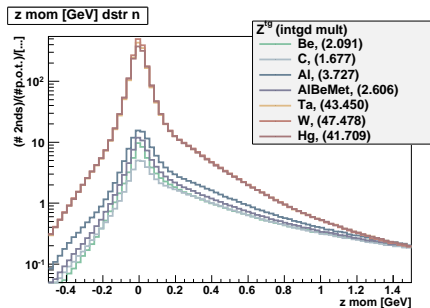
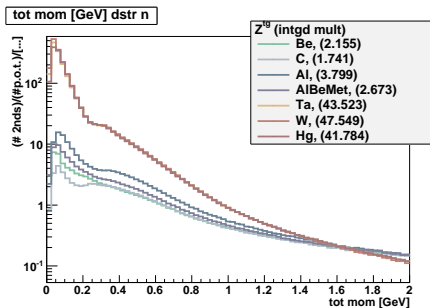
π^+ multpl's for 1000000 p.o.t.



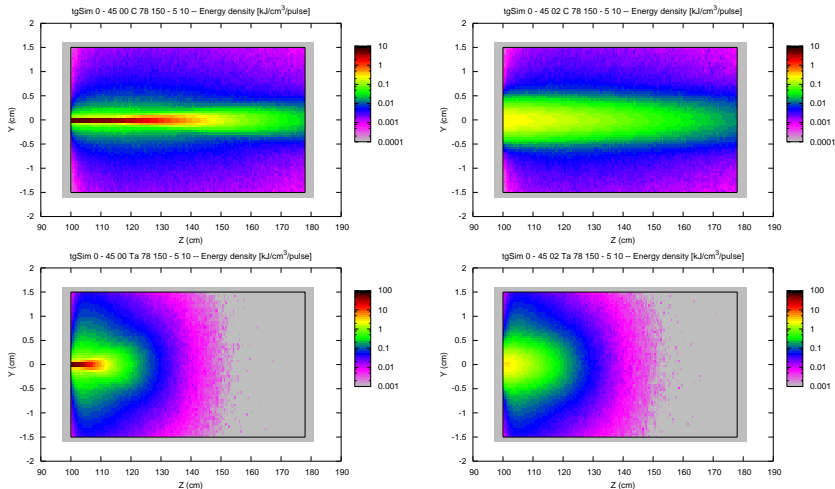
TARGET STUDIES — π^+ DIFF. MULTIPLS - REF. TARGET



TARGET STUDIES — NEUTRON DIFF. MULTIPLS - REF. TARGET



TARGET STUDIES — ENERGY DEPOSITION: C [UPPER] VS. TA [LOWER]



Ref. Target for beam width $\sigma^{\text{bm}} = 0.0 \text{ cm}$ [left] and $\sigma^{\text{bm}} = 0.2 \text{ cm}$ [right]

One order higher in Ta (high-Z) compared to C (low-Z)!

ENERGY DEPOSITION — DIFFERENT BEAM WIDTH σ^{bm}

Assuming continuous energy deposition of proton beam @ 4 MW and $E_{kin}^{bm} = 4.5$ GeV.

material	σ^{bm} [mm]	max value power density [kW/cm ³]	total power [kW]	(+ I, - I)
Be	2	11.65	168.7	(+6 %, +4%)
	4	3.25	165.3	(+6 %, +4%)
	6	1.53	153.2	(+12 %, +4%)
C	2	13.22	200.0	(+6 %, +5%)
	4	3.57	196.5	(+7 %, +4%)
	6	1.72	182.2	(+12 %, +4%)
Al	2	19.26	285.6	(+8 %, +6%)
	4	5.36	279.1	(+8 %, +6%)
	6	2.73	257.4	(+14 %, +6%)
AlBeMet	2	14.11	204.4	(+7 %, +5%)
	4	3.92	200.1	(+7 %, +5%)
	6	1.86	185.2	(+13 %, +5%)

(Magnetic field only important if very close to target → Assumption: due to horn current directly at target surface: $I = \pm 300$ kA → $B = 4$ Tesla @ $R = 1.5$ cm)

With magnetic field: For “+” focusing (6 – 14) % and for “-” focusing (4 – 6) % increased total power due to focusing of charged particles, BUT maximal value of power density stays the same!

TARGET STUDIES – SUMMARY

	low-Z	high-Z
$L \sim 2\lambda_I$	(80 - 90) cm	(20 - 30) cm
π^+	0.65 - 0.71	0.55 - 0.58
π^-	0.44 - 0.49	0.47 - 0.50
π^- / π^+	0.66 - 0.72	0.85
$\pi^+ \in [0.5, 0.8] \text{ GeV}$	0.13 - 0.15	0.13 - 0.14
$\pi^- \in [0.5, 0.8] \text{ GeV}$	0.09 - 0.11	0.11 - 0.12
π^- / π^+	0.66 - 0.72	0.86 - 0.88
n	1.9 - 4.0	42 - 48
γ	1.9 - 5.7	50 - 54
deposited power ^{*)}	(170 – 290) kW	(1000 – 1300) kW

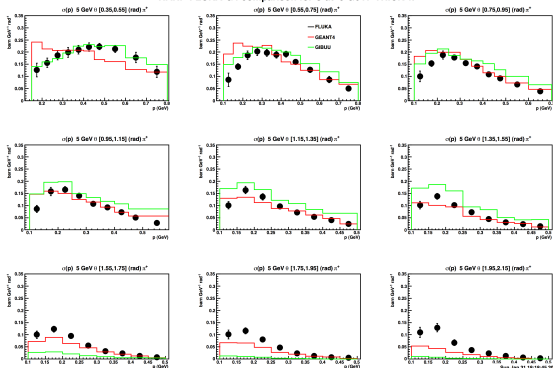
^{*)} for reference target at 4 MW beam power

TARGET STUDIES – HARP AND NA61-SHINE DATA

Measurements of π^\pm production cross sections from HARP and recently NA61-SHINE
⇒ validate Monte Carlo codes with real data in region of interest

- thick targets ($L = 100\% \lambda_I$) for C, Ta and Pb (at p^+ momenta $\{5, 8, 12\}$ GeV)
- thin targets ($L = 5\% \lambda_I$) for Be, C, Al, Cu, Sn, Ta and Pb (at p^+ momenta $\{3, 5, 8, 12\}$ GeV)
- coverage $\theta \in [0.35, 2.15]$ rad and $p \in [0.1, 0.8]$ GeV
- also small angle data

HARP-FLUKA-G4 comparison for C at 5 GeV. THICK π^+



[A.Longhin]

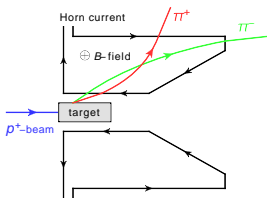
comparison for FLUKA
also done

Results of distribution of energy deposition serve as input for cooling and stress studies of the target →

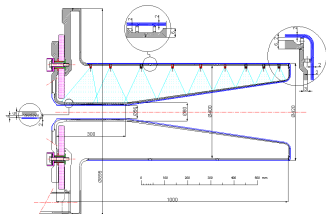
more details by Benjamin Lepers

Horn shape optimisation

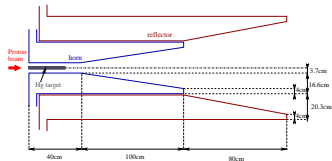
HORN — PRINCIPLE AND PREVIOUS STUDIES



- π^\pm focusing using toroidal magn. field
- “+” and “-” focusing mode depending on current direction
- pulsed horn current to save energy \rightarrow requires pulsed p^+ beam



- first design for NuFact @ CERN (CERN-NUFACT-Note 042 (2000))
single-conic, target inside
- optimised for $E_{kin}^{bm} = 2.2$ GeV and 30 cm liquid Hg target
- operation at current of: 30 kA, 1 Hz, 100 μ s pulses
- mechanical and acoustic frequency measur., laser vibrometer
- test of cooling system
- power supply



- Campagne/Cazes [hep-ex/0411062] - simulation
- 30 cm liquid Hg target
- optimised for π^\pm 's with $p = 600$ MeV
- inner + outer horn with currents: 300/600 kA
- decay tunnel: $L = 40$ m, $R = 2$ m
- baseline: CERN - Fréjus
- 440 kt Water Cherenkov detector
- see also [hep-ph/0603172]

- Problem:** π distribution broad (momentum and angle) and target long
→ no analytic approximation of horn focusing
→ numerical optimisation using simulation, variation of key parameters

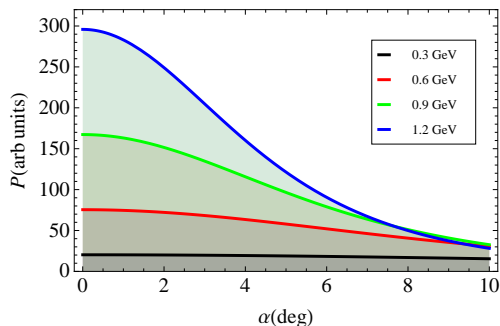
STAGES OF OPTIMISATION

- sensitivity to physics parameters θ_{13}, δ_{CP}
→ requires full simulation including details of detector
- optimise ν spectrum in solid angle of detector
→ requires full simulation of target, horn, decay tunnel and beam dump
- optimise π spectrum at horn exit
→ requires only initial π spectrum at target exit and horn geometry

... OPTIMISE π SPECTRUM AT HORN EXIT

- using simple numerical Euler-integr. for fast π tracking through magnetic field
- checked agreement with FLUKA, accuracy depends on stepwidth = compromise for shorter CPU time
- can be improved using symplectic integration algorithm

HORN — π DECAY KINEMATICS

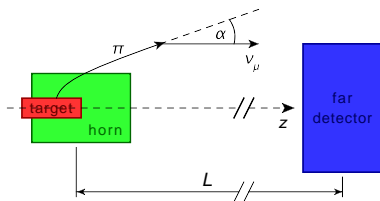


Probability of ν_μ hitting detector depends on

- π -momentum {0.3, 0.6, 0.9, 1.2} GeV
- angle α of π with beam-detector axis

→ more important to focus π 's with large momentum

“good” focused π , if α such that $P(\alpha, \beta) > \frac{1}{2}P(0, \beta)$



$$P(\alpha, \beta) = \frac{1}{4\pi} \frac{A}{L^2} \frac{1-\beta^2}{(1-\beta \cos \alpha)^2}$$

for $\text{dim}(\text{decay tunnel}) \ll L$

- using π sample generated with FLUKA for C-target 10^6 pot yielding 759914 π^+ and 498397 π^- at target exit (position, momentum)
- optimise horn for π^- focusing, since background suppression more important for $\bar{\nu}_\mu$ -run
- look for optimal ratio

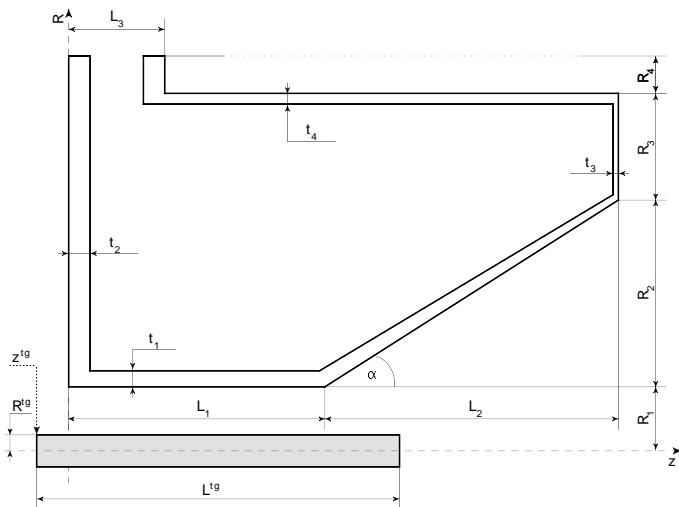
$$R(\pi^-/\pi^+) = (\# \text{ of "good" } \pi^- \text{ with } p \in [0.5, 0.7] \text{ GeV}) / (\# \text{ of "background" } \pi^+)$$

π 's are counted when exiting the horn within a circular plane of $R = 1$ m

- sample contains 116689 π^+ and 77392 π^- with $p \in [0.5, 0.7]$ GeV

HORN — NUFACT HORN PARAMETRISATION

- optimizing for longer Carbon target $L^{tg} = 78$ cm (previous Hg $L^{tg} = 30$ cm)
- removing reflector with current $I = 600$ kA introduced by Campagne/Cazes



keeping fixed:

$E^{kin} = 4.5$ GeV

$L^{tg} = 78$ cm

$R^{tg} = 1.2$ cm

$z_0^{hn} = 0$ cm

$L_3 = 3$ cm

$R_4 = 4$ cm

$t_2 = 10$ mm, $t_{1,3,4} = 3$ mm

varying:

$z_0^{tg} \in [-20, 20]$ cm,

$L_1 \in [50, 150]$ cm,

$L_2 \in [50, 150]$ cm,

$R_1 \in [1.2, 6.0]$ cm,

$\alpha \in [2, 30]^\circ$,

$R_3 \in [4, 10]$ cm,

$I \in [100, 300]$ kA

Campagne/Cazes:

$L_1 = 40$ cm,

$L_2 = 100$ cm,

$R_1 = 3.7$ cm,

$R_2 = 12.6$ cm,

$R_3 = 4$ cm

HORN — “BEST” 13 HORNS - MATERIAL EFFECT

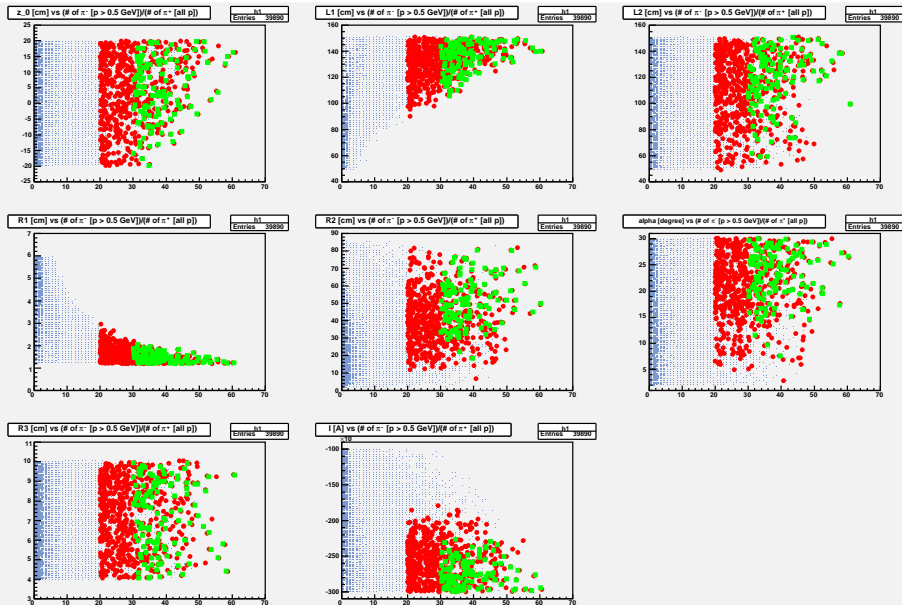
z_0^{tg} [cm]	L_1 [cm]	L_2 [cm]	R_1 [cm]	R_2 [cm]	R_3 [cm]	I [kA]	$R(\pi^-/\pi^+)$	# of π^-	# of π^+
-9.5	132.9	148.9	1.22	38.8	8.9	-290	48.1 (12.3)	20832	433
-16.6	149.5	136.2	1.60	65.6	7.8	-260	48.5 (14.2)	20849	430
-19.8	140.4	125.0	1.45	70.4	8.8	-285	49.3 (16.4)	20359	413
3.17	147.0	133.0	1.20	51.8	7.3	-252	49.7 (13.6)	21316	429
-16.8	135.6	148.2	1.37	80.7	6.7	-298	51.1 (—)	21277	416
-19.5	132.5	118.4	1.23	57.6	8.5	-265	51.9 (13.7)	20147	388
-13.0	149.5	124.4	1.46	46.4	9.2	-285	52.2 (13.6)	21002	402
-13.1	145.7	145.3	1.43	52.0	6.4	-296	52.3 (14.6)	21667	414
-1.31	148.9	122.2	1.24	68.5	5.5	-270	54.0 (16.5)	21269	394
-4.21	147.2	131.4	1.31	61.7	5.1	-294	55.0 (15.2)	22608	411
-12.6	142.4	139.2	1.22	43.9	5.8	-298	57.8 (12.6)	20984	363
-15.0	140.4	138.3	1.20	71.6	4.4	-278	58.9 (16.3)	21142	359
-15.8	141.0	98.34	1.22	49.3	9.3	-297	60.2 (16.1)	21369	355
0.0	40.0	100.0	3.70	12.6	4.0	-300	— (2.63)	—	—
0.0	40.0	100.0	3.70	12.6	4.0	0	— (0.09)	—	—

last lines: Campagne/Cazes (no reflector), opt. for $p = 600$ MeV and with Hg target $L = 30$ cm

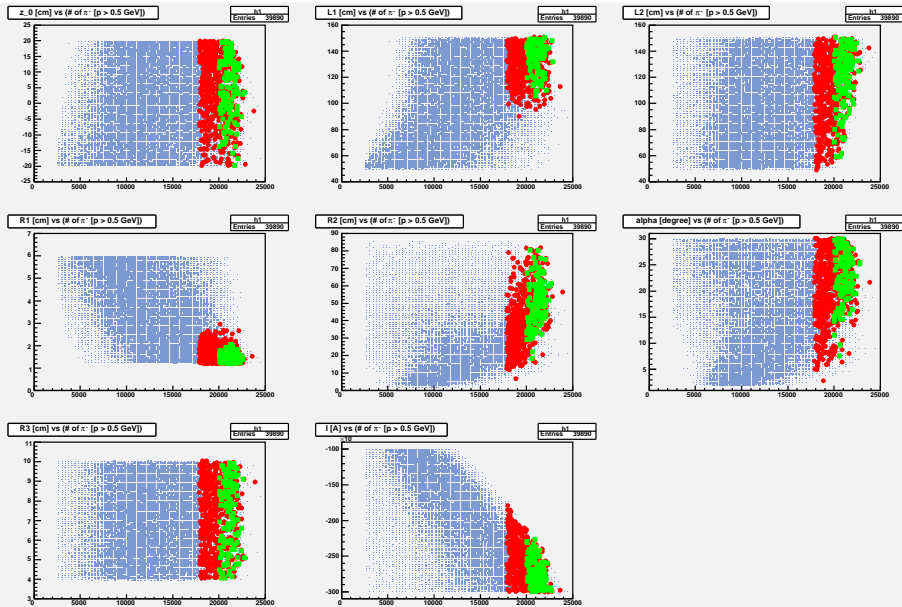
Material effect with FLUKA:

$t_{1,2,3,4} = 3$ mm Aluminium horn skin decreases $R(\pi^-/\pi^+)$ by about factor 4 due to more π^+

HORN — PARAMETERS VS $R(\pi^-/\pi^+)$

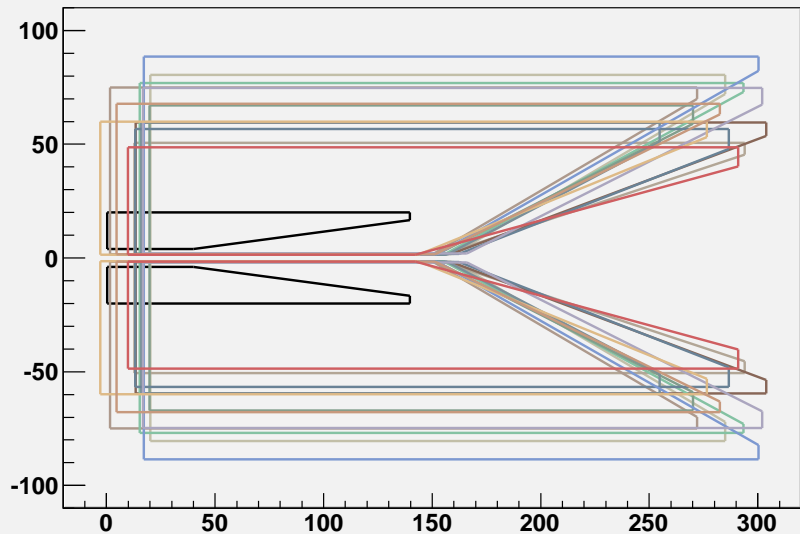


HORN — PARAMETERS VS (# OF “GOOD” π^-)



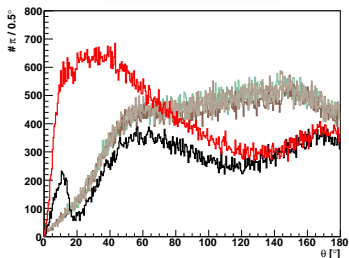
HORN — “BEST” 13 HORNS

Horns

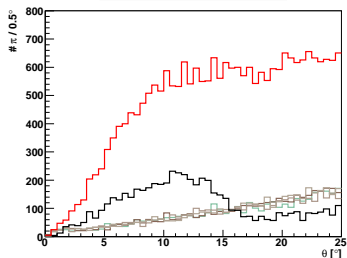


HORN — π POLAR ANGLE AT DECAY POSITIONS

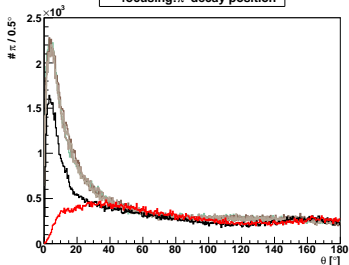
π^+ focusing: π^+ decay position



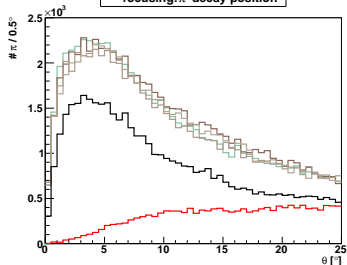
π^- focusing: π^+ decay position



π^+ focusing: π^- decay position



π^- focusing: π^- decay position



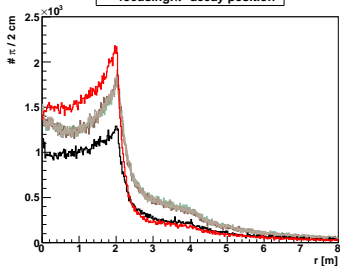
no magn. field

Campaign/Cazes
no reflector

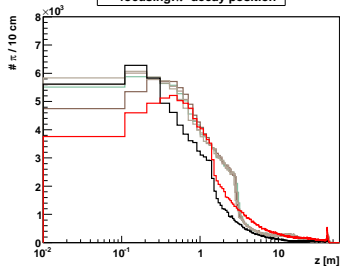
4 best of

HORN — π DECAY POSITIONS r AND Z

r - z focusing: π^+ decay position



r - z focusing: π^+ decay position

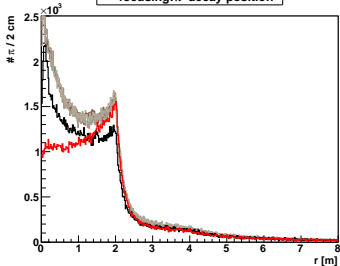


no magn. field

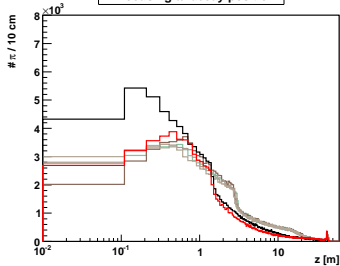
Campagne/Cazes
no reflector

4 best of

r - z focusing: π^- decay position



r - z focusing: π^- decay position

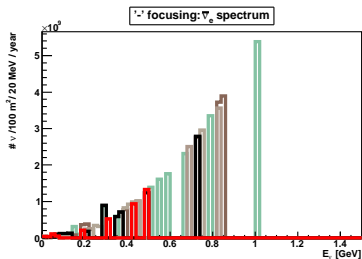
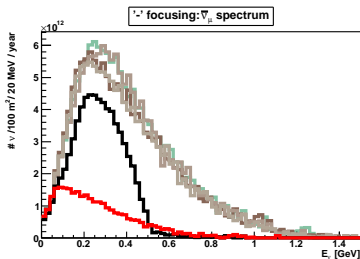
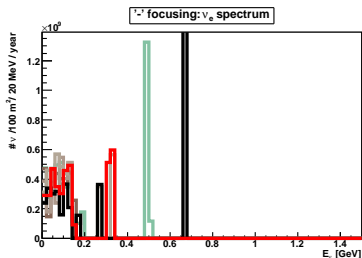
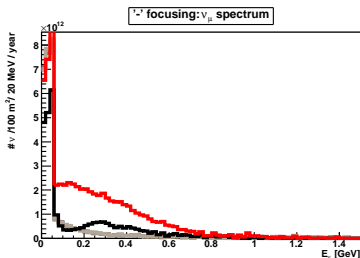


decay tunnel

$R = 2 \text{ m}$,

$L = 40 \text{ m}$

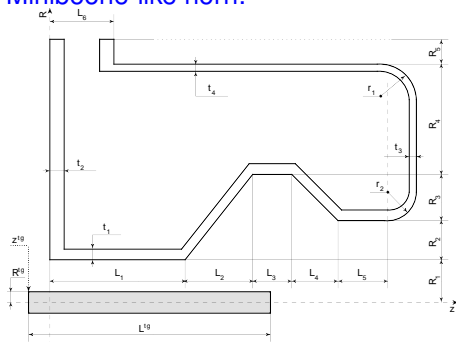
HORN – $\bar{\nu}_\mu$ SPECTRUM FROM $\pi^- \rightarrow \mu^- + \bar{\nu}_\mu$



$\bar{\nu}_\mu$ spectrum in detector (100 m^2) from $\pi^- \rightarrow \mu^- + \bar{\nu}_\mu$ 2-body decays

need to add 3-body decays for ν_e , $\bar{\nu}_e$ spectra + final sensitivities θ_{13} and δ_{CP}

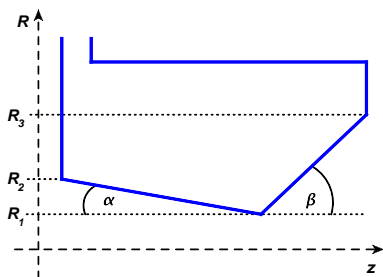
Miniboone-like horn:



forward closing section serves to defocus wrong-sign π 's
 optimised by A.Longhin

most pions decay after 4 m distance - a second horn (reflector) should follow closely to the first one, if at all

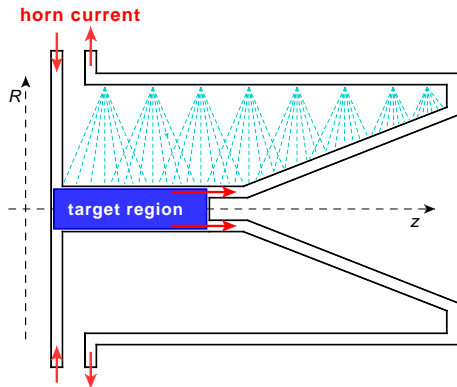
Bi-conic horn



Idea:

Physics performance prefers small inner radius

→ Integrate the target as inner conductor inside the horn



Requirement

- conducting target material

Advantages

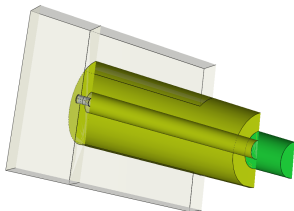
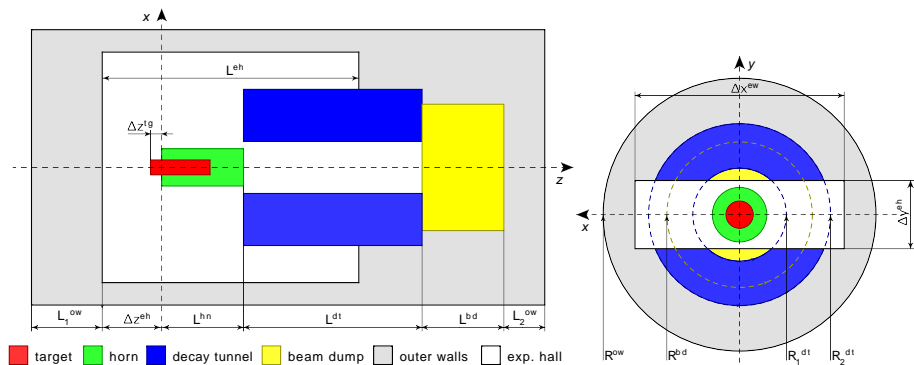
- lower inner radius → higher magnetic field or lower horn current
- can use water cooling of inner horn conductor also for target cooling

Disadvantages

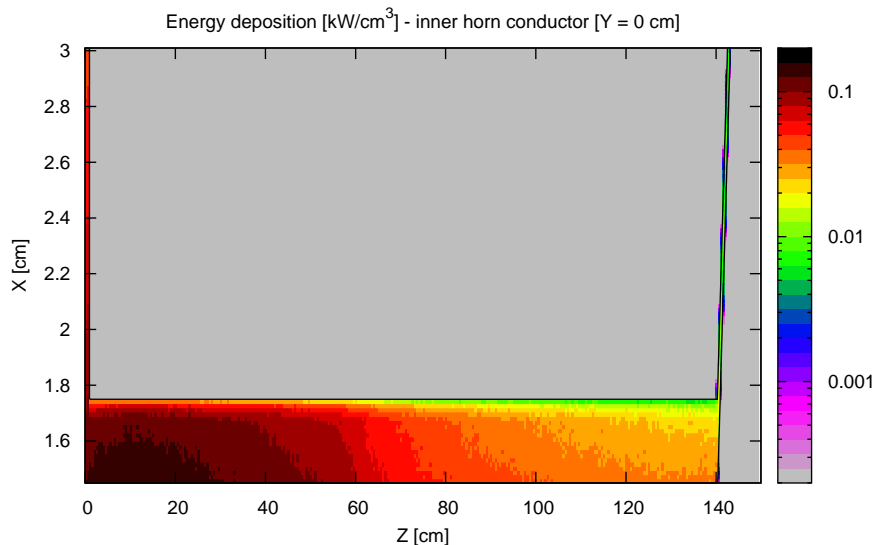
- lower inner radius → higher Joule effect due to horn current in target region

Energy deposition

ENERGY DEPOSITION — EXPERIMENTAL SETUP



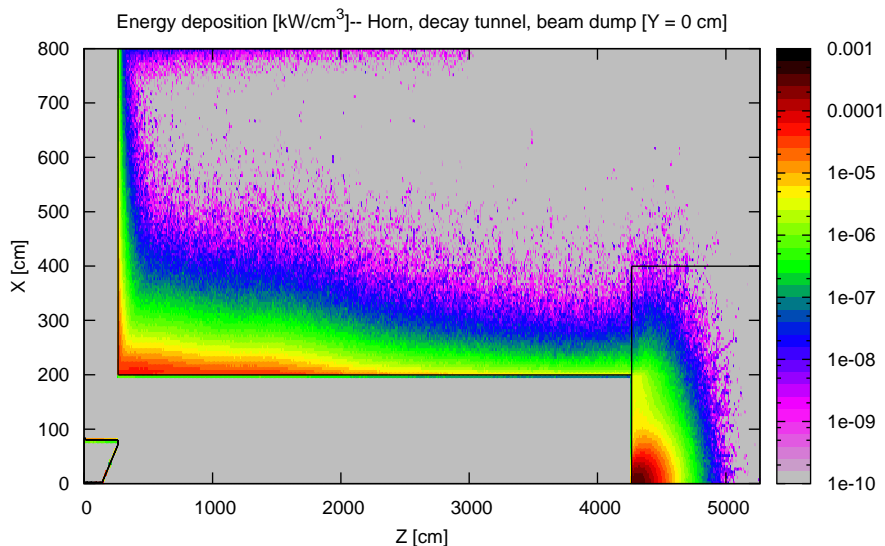
ENERGY DEPOSITION — INNER HORN CONDUCTOR



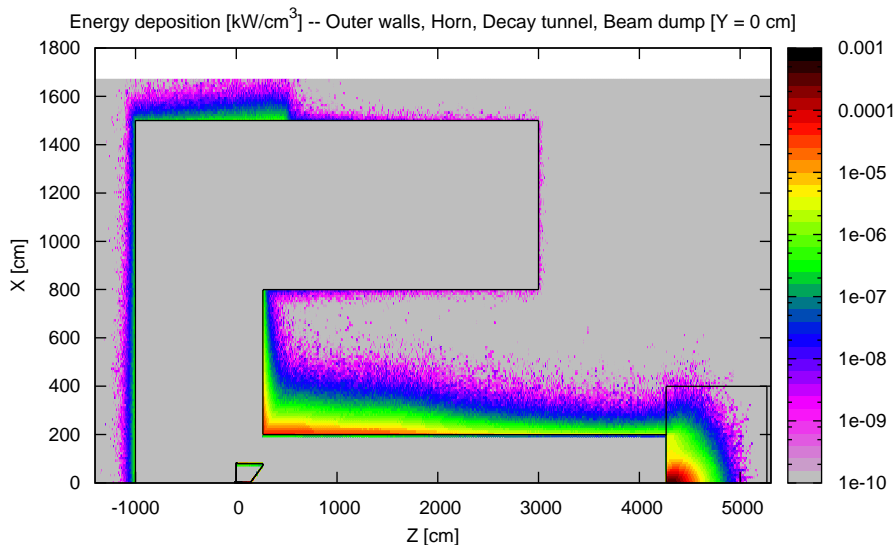
target radius $R^{\text{tg}} = 1.2 \text{ cm}$,

horn inner radius $R_1^{\text{hn}} = 1.45 \text{ cm}$, thickness $t_1 = 3 \text{ mm}$

ENERGY DEPOSITION — HORN — DECAY TUNNEL — BEAM DUMP



ENERGY DEPOSITION — ALL



... introduce some additional shielding for target/horn service and exchange area's

ENERGY DEPOSITION – SUMMARY

region	deposited power
target $R^{\text{tg}} = 1.2$ cm	188 kW
horn $t_2 = 10$ mm, $t_{1,3,4} = 3$ mm	65 kW
decay tunnel walls	2560 kW
beam dump	390 kW
outer walls – behind	15 kW
outer walls – side	166 kW
beyond outer walls	129 kW
missing in FLUKA energy budget	488 kW
sum	4001 kW
horn $t_2 = 10$ mm, $t_{1,3,4} = 10$ mm	160 kW

... activation studies to follow

CONCLUSION

Target

- π -yields of low- Z^{lg} material comparable to high- Z^{lg}
- less n, γ release \rightarrow radiation safety
- less energy deposition \rightarrow cooling, mechanical stress

Horn

- single-conic horn and Miniboone-like horn (A.Longhin) without reflector
- preferred lower inner and larger outer radius, longer inner section
- physics performances comparable to previous studies
- 4-horn scheme
- ... re-iteration with engineering studies to follow

Energy deposition

- energy deposition from secondary particles in experimental environment
- implement more details for service area's
- ... activation studies to follow
- ... re-iteration with engineering studies to follow