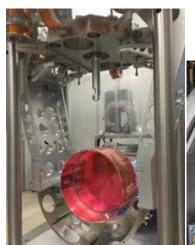




## Gravitational Waves: The instrumental challenges of the detection





Romain Gouaty LAPP – Annecy GraSPA summer school

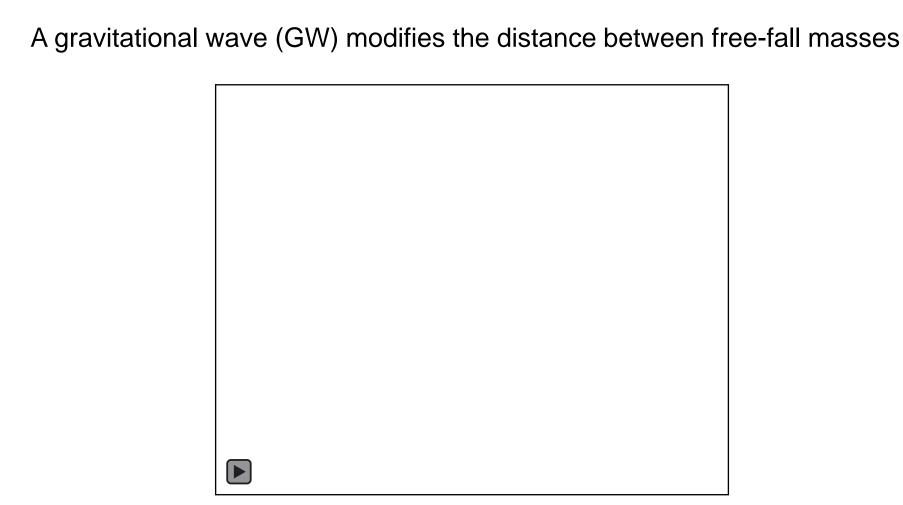


R. Gouaty - GraSPA 2022 - Annecy

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- How can we detect gravitational waves with laser interferometers?
- How do ground-based interferometers work?
  - > The Virgo optical configuration or how to measure 10<sup>-20</sup> m
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#### Reminder: effect of a GW on free fall masses

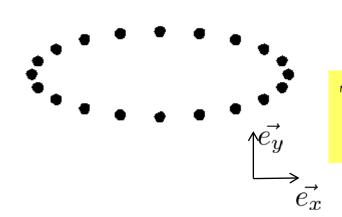


#### Reminder: effect of a GW on free fall masses

A gravitational wave (GW) modifies the distance between free-fall masses

$$\delta x(t) = -\delta y(t) = \frac{1}{2} h(t) L_0$$

h(t): amplitude of the GW (= strain)

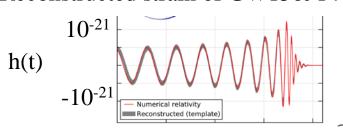


Typical amplitude of a GW crossing the Earth:  $h \sim 10^{-23}$ 

(h has no dimension/unit)

Case of a GW with polarisation + propagating along z

#### Reconstructed strain of GW150914

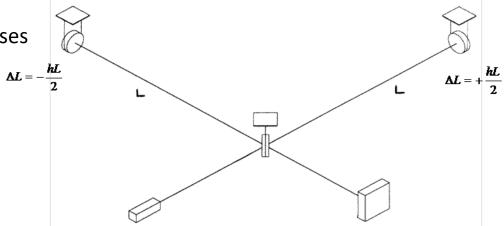


# Terrestrial GW Interferometer: basic principle

- Measure a variation of distance between masses
  - Measure the light travel time to propagate over this distance



- Laser interferometry is an appropriate technique
  - Comparative measurement
  - Suspended mirrors = free fall test masses



# Terrestrial GW Interferometer: basic principle

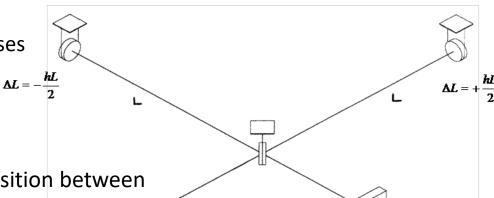


# Terrestrial GW Interferometer: basic principle

- Measure a variation of distance between masses
  - Measure the light travel time to propagate over this distance



- > Laser interferometry is an appropriate technique
  - Comparative measurement
  - Suspended mirrors = free fall test masses



- Michelson interferometer well suited:
  - Effect of a gravitational wave is in opposition between2 perpendicular axes
  - Light intensity of interfering beams is related to the difference of optical path length in the 2 arms

We need a big interferometer:

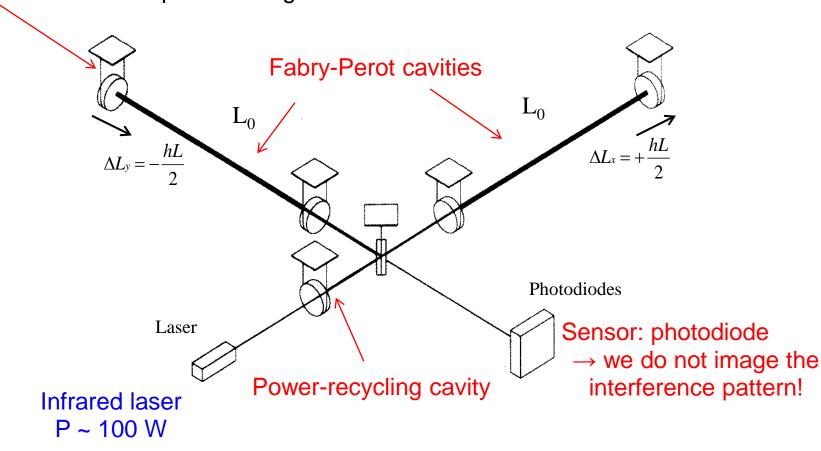
ΔL proportional to L

→ need several km arms!

Bandwidth: 10 Hz to few kHz

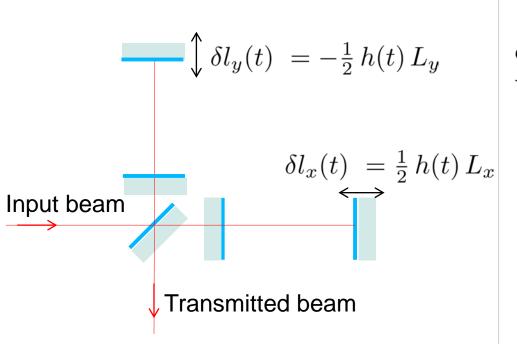
## Virgo/LIGO: more complicated interferometers

Suspended mirrors → Mirrors can be considered as free-falling in the ITF plane for frequencies larger than ~10 Hz



WARNING: STILL VERY SIMPLIFIED SCHEME!

## Orders of magnitude



Typical amplitude of differential arm length variations when a GW crosses the Earth:

$$\delta \Delta L = \delta l_x(t) - \delta l_y(t)$$
$$= h(t) L_0$$

$$h \sim 10^{-23} \qquad L_0 = 3 \text{ km}$$

$$\rightarrow \delta \Delta L \sim 3 \times 10^{-20} \text{ m}$$

$$\sim \frac{\text{size of a proton}}{1000000}$$

## Km scale interferometers

## Virgo Arm length = 3 km Cascina (near Pisa), Italy

#### **LIGO Hanford**

Arm length = 4 km



#### **LIGO Livingston**

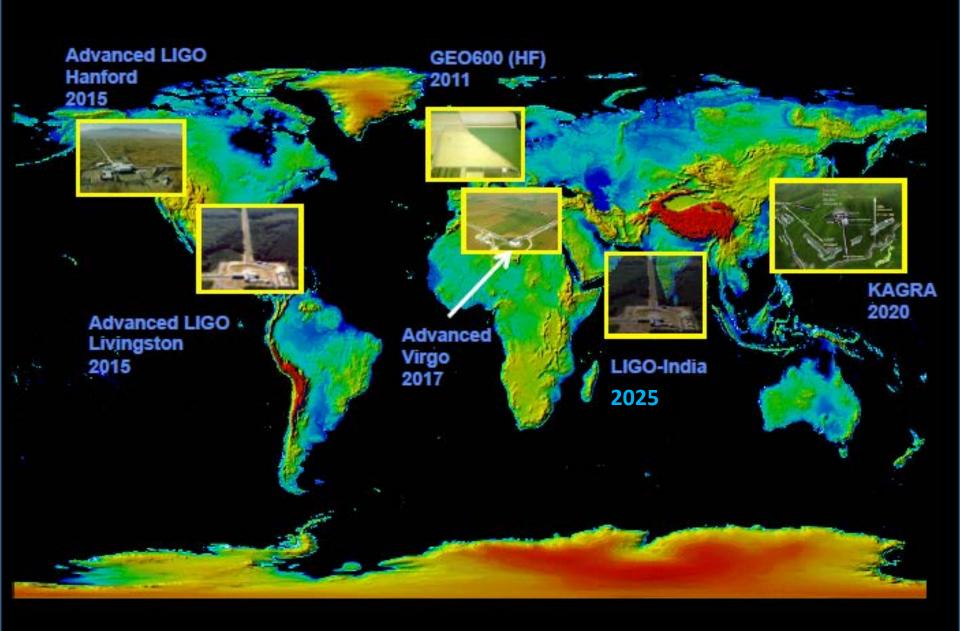
Arm length = 4 km



#### **KAGRA**



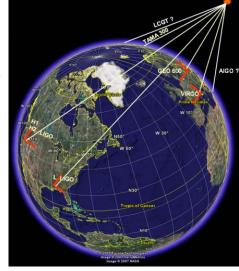
## The detector network



### The benefits of the network

- A GW interferometer acts as a wide beam antenna
  - A single detector cannot localize the source
  - Need to compare the signals found in coincidence between several detectors (triangulation):
    - → allow to point towards the source position in the sky
    - → the telescope is obtained by a network of interferometers





- Looking for rare and transient signals: can be hidden in detector noise
  - → requires observation in coincidence between at least 2 detectors
- Since 2007, Virgo and LIGO share their data and analyze them jointly

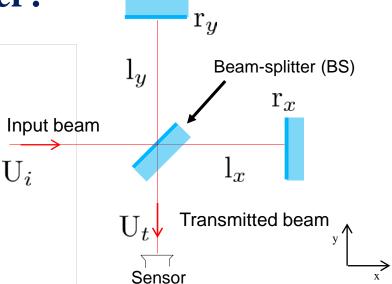
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interferometer?

Input wave  $U_i(x,t) = \underline{\mathcal{A}_i} e^{\mathrm{J}kx}$   $= \underline{\mathcal{A}_i} \quad \text{on BS}$ 

- BS located at (0,0)
- Sensor located at (0,-y<sub>s</sub>)
- Amplitude reflection and transmission coefficients: r and t
- → We are interested in the beam transmitted by the interferometer: it is the sum of the two beams (fields) that have propagated along each arm



#### Around the mirrors:

- Radius of curvature of the beam ~ 1400 m
- Size of the beam ~ few cm

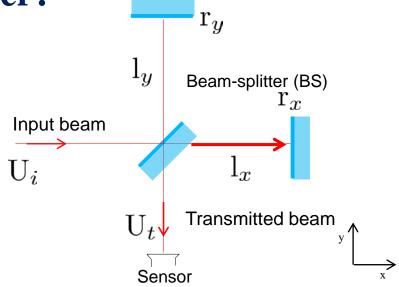
→ The beam can be approximated by plane waves

interferometer?

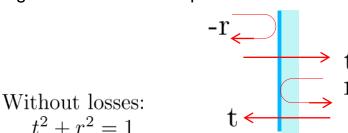
Input wave 
$$U_i(x,t) = \underline{\mathcal{A}_i} e^{\mathrm{J}kx}$$
  
=  $\underline{\mathcal{A}_i}$  on BS

Beam propagating along x-arm:

$$U_{tx} = \underline{\mathcal{A}_i} t_{BS} e^{Jkl_x} \dots$$



Sign convention for amplitude reflection and transmission coefficients

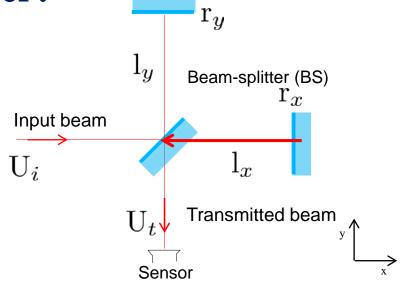


interferometer?

Input wave 
$$U_i(x,t) = \underline{\mathcal{A}_i} e^{\mathrm{J}kx}$$
  
=  $\underline{\mathcal{A}_i}$  on BS

Beam propagating along x-arm:

$$U_{tx} = \underline{\mathcal{A}}_i t_{BS} e^{jkl_x} \quad (-r_x)e^{jkl_x}.....$$



Sign convention for amplitude reflection and transmission coefficients

Without losses:  $t^{2} + r^{2} = 1$   $t \leftarrow$ 

interferometer?

Input wave  $U_i(x,t) = \underline{\mathcal{A}_i} e^{\mathrm{j}kx}$ 

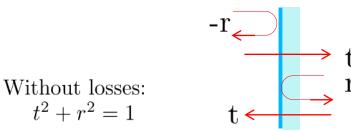
 $= \underbrace{\frac{\mathcal{A}_i}{\mathcal{A}_i}} \quad \text{on BS} \qquad \underbrace{\frac{\text{Input beam}}{U_i}}$ 

Beam propagating along x-arm:

$$U_{tx} = \underline{\mathcal{A}_i} t_{BS} e^{Jkl_x} \quad (-r_x) e^{Jkl_x} \quad r_{BS} e^{Jky_s}$$

Sign convention for amplitude reflection and transmission coefficients

Sensor



Beam-splitter (BS)

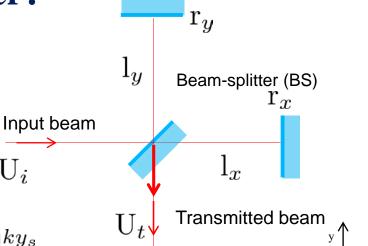
 $l_x$ 

Transmitted beam

interferometer?

 $U_{i}$ 

Input wave  $U_i(x,t) = A_i e^{jkx}$  $= A_i$  on BS



Beam propagating along x-arm:

$$U_{tx} = \underbrace{A_i}_{t_{BS}} t_{BS} e^{\jmath k l_x} \quad (-r_x) e^{\jmath k l_x} \quad r_{BS} e^{\jmath k y_s}$$

$$= \underbrace{A_i}_{t_{BS}} r_{BS} (-r_x) e^{2\jmath k l_x} e^{\jmath k y_s}$$

$$= \underbrace{\frac{A_i}{2}}_{t_{BS}} \times \left(-r_x e^{2\jmath k l_x}\right) e^{\jmath k y_s} \quad \text{with } t_{BS} = r_{BS} = \frac{1}{\sqrt{2}}$$

Complex reflection of the x-arm

interferometer?

Input wave

$$U_i(x,t) = \underline{\mathcal{A}_i} e^{Jkx}$$
$$= \underline{\mathcal{A}_i} \text{ on BS}$$

Beam propagating along x-arm:

$$U_{tx} = \underline{\mathcal{A}_i} t_{BS} e^{Jkl_x} \quad (-r_x) e^{Jkl_x} \quad r_{BS} e^{Jky_s}$$

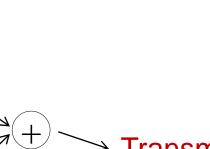
$$= \underline{\mathcal{A}_i} t_{BS} r_{BS} (-r_x) e^{2Jkl_x} e^{Jky_s}$$

$$= \frac{\underline{\mathcal{A}_i}}{2} \times (-r_x e^{2Jkl_x}) e^{Jky_s}$$

Complex reflection of the x-arm

Beam propagating along y-arm:

$$U_{ty} = -\frac{\mathcal{A}_i}{2} \times \left(-r_y e^{2Jkl_y}\right) e^{Jky_s}$$



Input beam

 $U_{i}$ 

>> Transmitted field:

Transmitted beam

$$U_t = U_{tx} + U_{ty}$$

$$\mathcal{A}_{i}$$

$$= \frac{\mathcal{A}_i}{2} e^{\jmath k y_s} \left( r_y e^{2\jmath k l_y} - r_x e^{2\jmath k l_x} \right)$$

#### Simple Michelson interferometer: transmitted power

#### Field transmitted by the interferometer

$$U_t = \frac{\mathcal{A}_i}{2} \left( r_y e^{2jkl_y} - r_x e^{2jkl_x} \right)$$

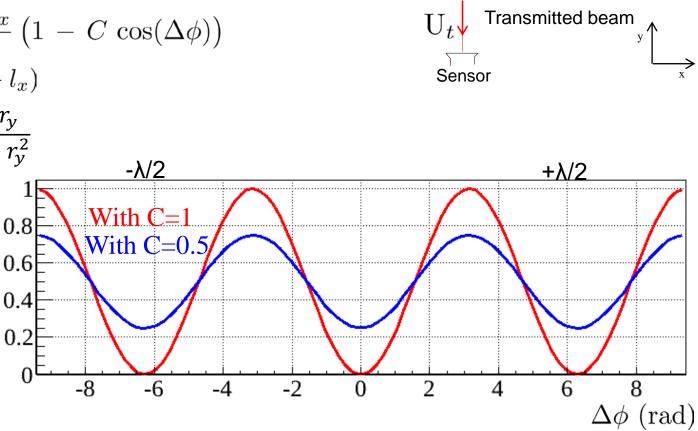
k is the wave number,  $k = 2\pi/\lambda$  $\lambda$  is the laser wavelength ( $\lambda$ =1064 nm)

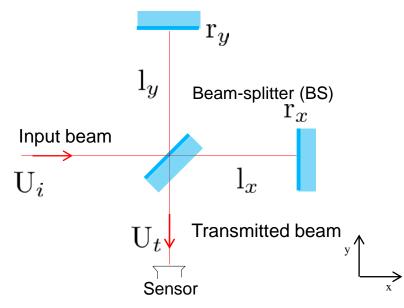
#### **Transmitted power**

$$P_t \propto |U_t|^2 = \frac{P_{max}}{2} (1 - C \cos(\Delta \phi))$$
  
where  $\Delta \phi = 2k(l_y - l_x)$ 

ITF contrast: 
$$C = \frac{2r_x r_y}{r_x^2 + r_y^2}$$

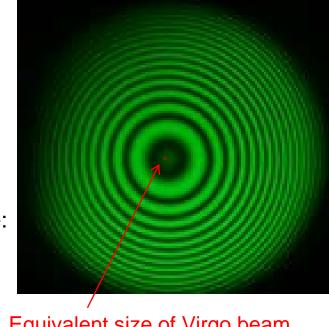
$$P_{max} = \frac{P_i}{2}(r_x^2 + r_y^2) \quad \underbrace{\mathbf{F}}_{\mathbf{Q}}^{\mathbf{F}}$$



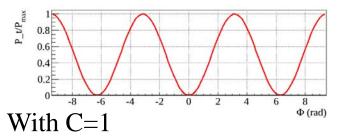


#### What power does Virgo measure?

- In general, the beam is not a plane wave but a spherical wave
  - → interference pattern (and the complementary pattern in reflection)
- Virgo interference pattern much larger than the beam size:
  - ~1 m between two consecutive fringes
  - $\rightarrow$  we do not study the fringes in nice images!

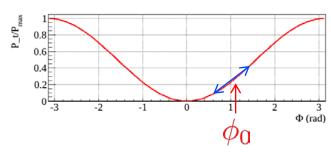


Equivalent size of Virgo beam



Freely swinging mirrors

Setting a working point



Controlled mirror positions

#### From the power to the gravitational wave

$$P_t = \frac{P_i}{2} (1 - C \cos(\phi))$$
 where  $\phi = 2\frac{2\pi}{\lambda} (l_y - l_x)$ 

Around the working point:

$$\frac{\mathrm{d}P_t}{d\phi}\Big|_{\phi_0} = \frac{P_i}{2} C \sin(\phi_0) \quad \text{where } \phi_0 = \frac{4\pi}{\lambda} \Delta L_0 \Big|_{0.2}^{2} \Big|_{0.3}^{0.4} \Big|_{0.2}^{0.4} \Big|_{0.2}^{0.4} \Big|_{0.4}^{0.4} \Big|_{0.2}^{0.4} \Big|_{$$

Power variations as function of small differential length variations:

$$\delta P_t = \frac{P_i}{2} C \sin(\phi_0) \delta \phi$$

$$\delta P_t = P_i C \frac{2\pi}{\lambda} \sin\left(\frac{4\pi}{\lambda} \Delta L_0\right) \delta \Delta L$$

 $\delta P_t \propto \delta \Delta L = hL_0$  around the working point!

#### From the power to the gravitational wave

Around the working point:

$$\delta P_t = P_i C \frac{2\pi}{\lambda} \sin\left(\frac{4\pi}{\lambda} \Delta L_0\right) \delta \Delta L$$

$$\delta P_t = (\text{Interferometer response}) \times \delta \Delta L$$

$$/ (W/m)$$

Measurable physical quantity

Physical effect to be detected

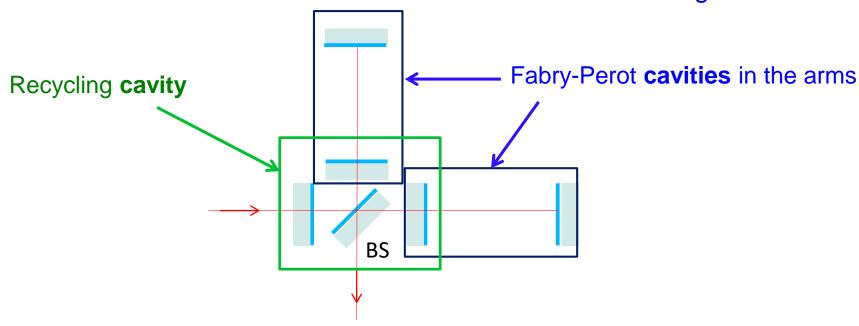
#### Improving the interferometer sensitivity

$$\delta P_t = P_i C \sin\left(\frac{4\pi}{\lambda}\Delta L_0\right) \left(k \delta \Delta L\right)$$

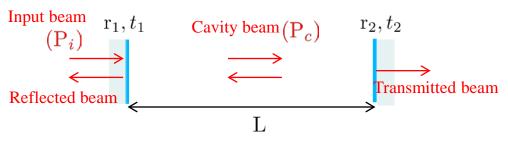
$$\propto \delta \phi$$

Increase the input power on BS

Increase the phase difference between the arms for a given differential arm length variation

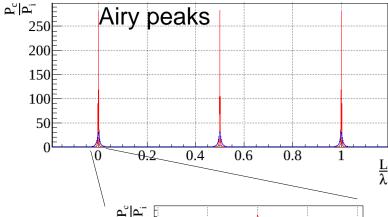


#### Beam resonant inside the cavities



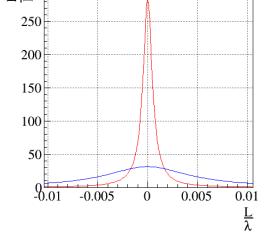
$$P_c = P_i \frac{t_1^2}{(1 - r_1 r_2)^2} \frac{1}{1 + (\frac{2\mathcal{F}}{\pi})^2 \sin^2(kL)}$$

Finesse 
$$\mathcal{F} = \frac{\pi\sqrt{r_1r_2}}{1-r_1r_2}$$



Virgo cavity at resonance:  $L = n \frac{\lambda}{2}$   $(n \in \mathbb{N})$ 

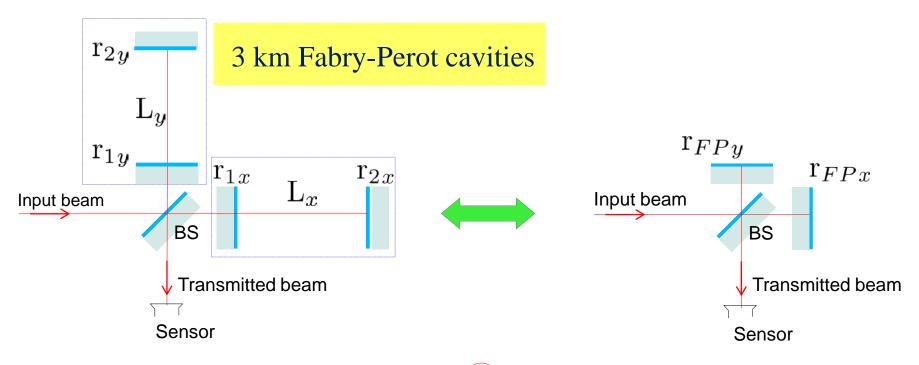
Virgo 
$$F = 50$$
  
AdVirgo  $F = 443$ 



Average number of light round-trips in the cavity:  $N = \frac{2\mathcal{F}}{N}$ 

$$N = \frac{2\mathcal{F}}{\pi}$$

#### How do we amplify the phase offset?



$$r_{FPx} = -1 \times e^{\int_{-\pi}^{2\mathcal{F}} 2k \, \delta L_x}$$

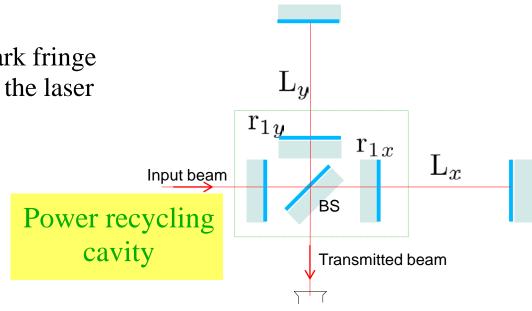
~number of round-trips in the arm ~300 for AdVirgo

(instead of 
$$r_{arm\,x}=-1$$
  $imes$   $e^{{
m J}2k(L_x+\delta L_x)}$  in the arm of a simple Michelson)

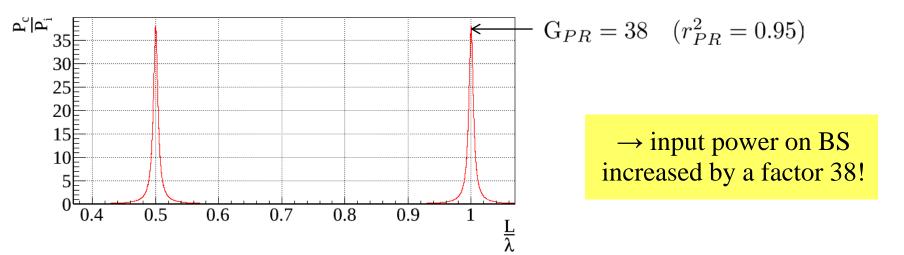
#### How do we increase the power on BS?

Detector working point close to a dark fringe

→ most of power go back towards the laser



#### Resonant power recycling cavity



#### Improved interferometer response

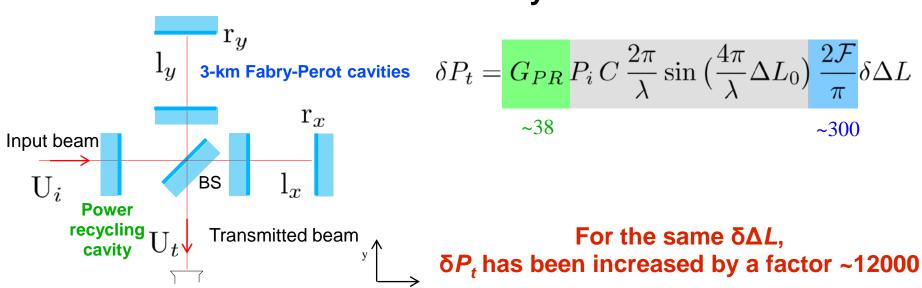
**Response of simple Michelson:** 

Sensor

$$\delta P_t = P_i C \frac{2\pi}{\lambda} \sin\left(\frac{4\pi}{\lambda} \Delta L_0\right) \delta \Delta L$$

$$\delta P_t = (\text{Michelson response}) \times \delta \Delta L$$
(W/m)

Response of recycled Michelson with Fabry-Perot cavities:



#### Order of magnitude of the « sensitivity »

$$\delta P_t = \frac{G_{PR}}{G_{PR}} P_i C \frac{2\pi}{\lambda} \sin\left(\frac{4\pi}{\lambda} \Delta L_0\right) \frac{2\mathcal{F}}{\pi} \delta \Delta L$$

Laser wavelength  $\lambda = 1064 \text{ nm}$ 

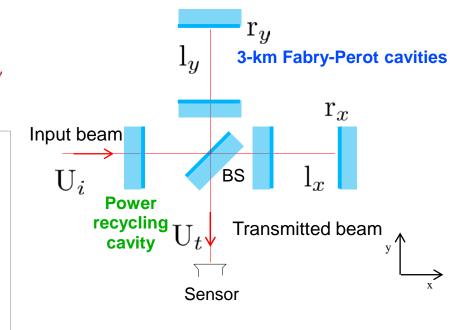
Input power  $P_i \sim 100 \text{ W}$ 

Interferometer contrast  $C \sim 1$ 

Cavity finesse  $\mathcal{F} \sim 450$ 

Power recycling gain  $G_{PR} \sim 38$ 

Working point  $\Delta L_0 \sim 10^{-11} \text{ m}$ 



Shot noise due to output power of  $\sim 50\,\mathrm{mW}$ 

$$\rightarrow \delta P_{t,min} \sim 0.1 \,\mathrm{nW}$$

$$\delta \Delta L_{min} \sim 5 \times 10^{-20} \text{ m}$$

$$\rightarrow h_{min} = \frac{\delta \Delta L_{min}}{I} \sim 10^{-23}$$

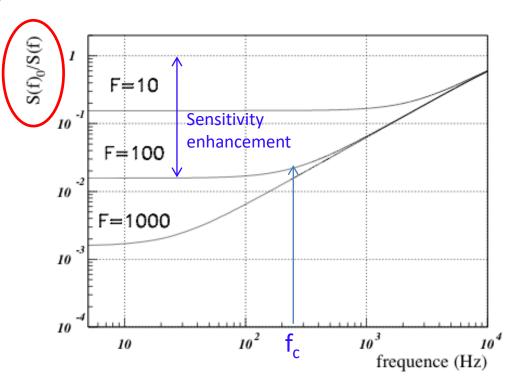


In reality, the detector response depends on frequency...

#### **Example of frequency dependency of the ITF response**

- Light travel time in the cavities must be taken into account
- Fabry-Perot cavities behave as a low pass filter
- Frequency cut-off:  $f_c = rac{c}{4 \mathcal{F} L}$

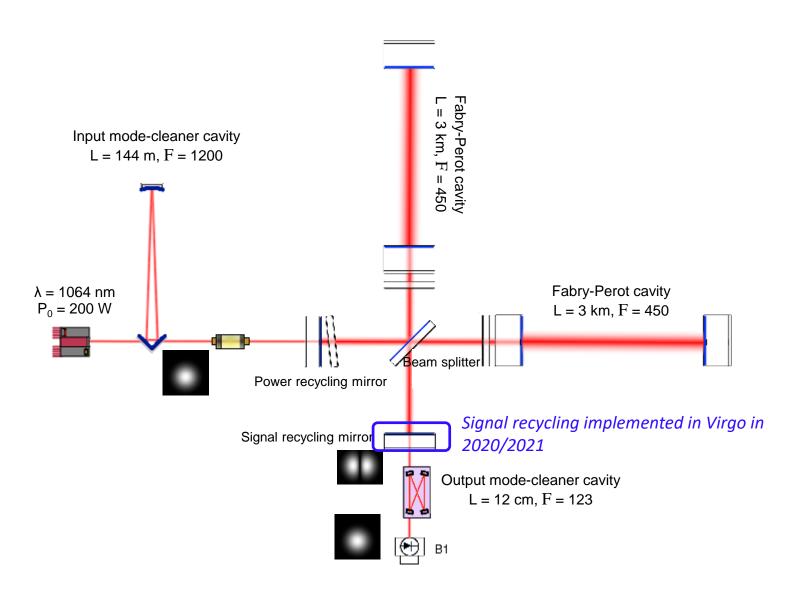
Ratio between the sensitivity of an interferometer with Fabry-Perot cavities versus the sensitivity of an interferometer without cavities



• Finesse of Virgo Fabry Perot cavities: F = 450, L= 3 km

$$\rightarrow$$
  $f_c = 55 \text{ Hz}$ 

#### **Optical layout of Virgo**



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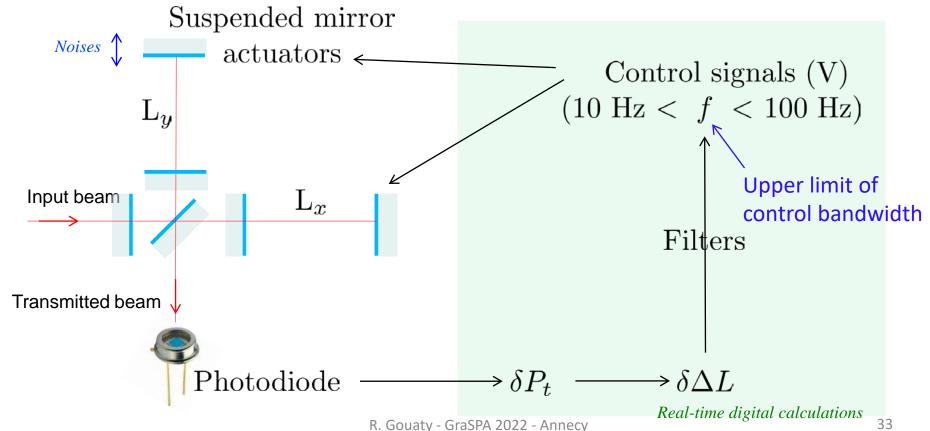
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#### How do we control the working point?



Small offset from a dark fringe:  $\Delta L_0 = n \frac{\lambda}{2} + 10^{-11} \, \mathrm{m}$ 

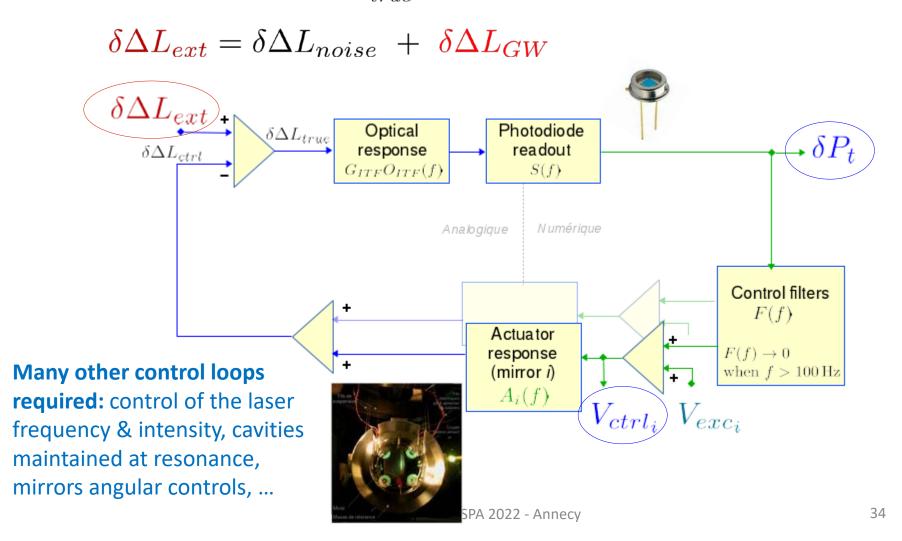
- Controls to reduce the motion up to ~100 Hz
- Precision of the control  $\delta \Delta L_{true}$ ~ 10<sup>-15</sup> m



#### How do we control the working point?

Small offset from a dark fringe:  $\Delta L_0 = n \frac{\lambda}{2} + 10^{-11} \, \mathrm{m}$ 

- Controls to reduce the motion up to ~100 Hz
- Precision of the control  $\delta \Delta L_{true}$ ~ 10<sup>-15</sup> m



#### From the detector data to the GW strain h(t)

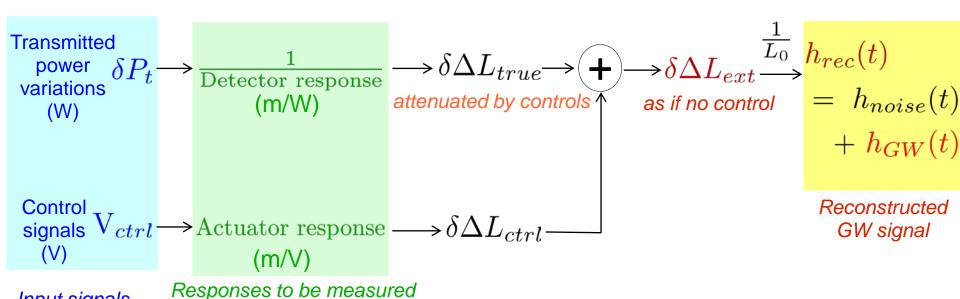
High frequency (>100 Hz): mirrors behave as free falling masses

$$\stackrel{\longrightarrow}{\to} h(t) = \frac{\delta \Delta L_{true}(t)}{L_0}$$

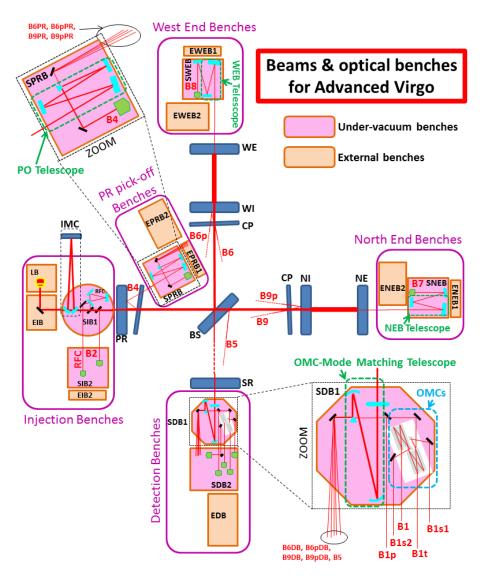
(calibrated) in dedicated dataset

Input signals

- Lower frequency: the controls attenuate the noise... but also the GW signal!
  - $\rightarrow$  the control signals contain information on h(t)



## How to extract all error signals? Interferometer optical ports

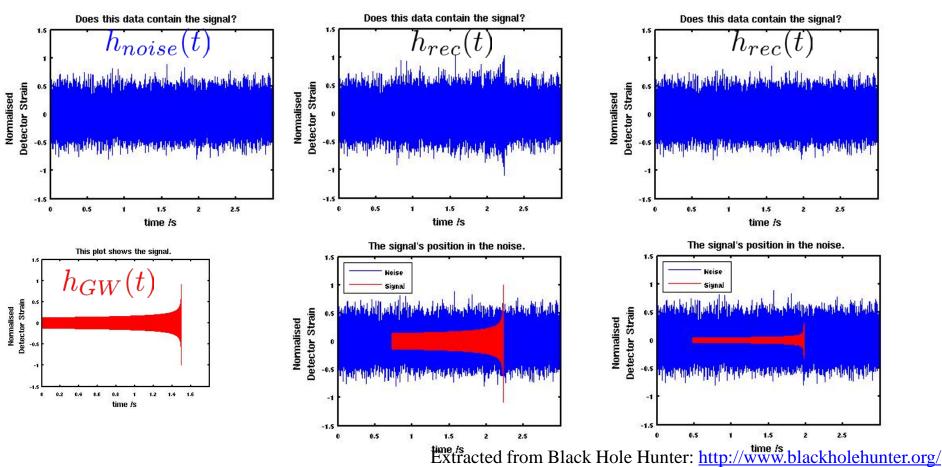


# Noises limiting interferometer sensitivity: How to tackle them?

#### What is noise in GW detectors?

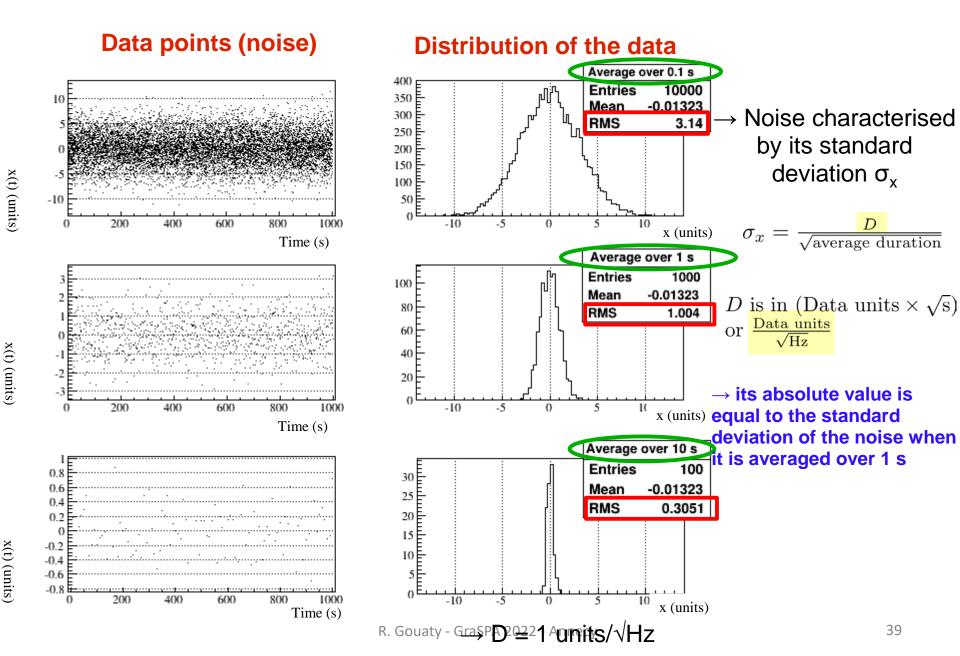
Stochastic (random) signal that contributes to the signal h<sub>rec</sub>(t) but does not contain information on the gravitational wave strain h<sub>GW</sub>(t)

$$h_{rec}(t) = h_{noise}(t) + h_{GW}(t)$$



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#### How do we characterize noise?



#### From hrec(t) to Virgo sensitivity curve

1/ Reconstruction of h(t)

$$h_{rec}(t) = h_{noise}(t) + h_{GW}(t)$$

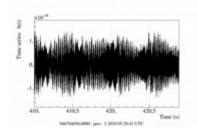
2/ Amplitude spectral density of *h(t)* (noise standard deviation over 1 s)

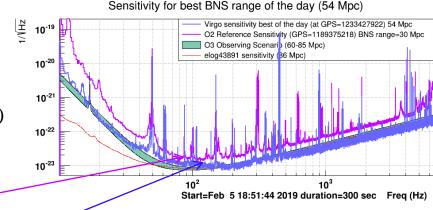
$$ASD = \sqrt{PSD} = \sqrt{\frac{|DFT|^2}{T}} \kappa$$

Discrete Fourier Transform (DFT)

~5 x10<sup>-20</sup> m/ $\sqrt{\text{Hz}}$  (Advanced Virgo O2, 2017)

~3 x10<sup>-20</sup> m/√Hz (Advanced Virgo in Feb 2019)





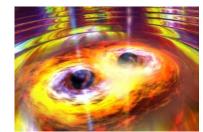


Image: Danna Berry/SkyWorks/NASA

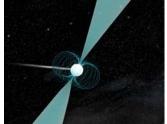


Image: B. Saxton (NRAO/AUI/NSF,

#### **Compact Binary Coalescences**

Signal lasts for a few seconds

 $\rightarrow$  can detect h ~ 10<sup>-23</sup>

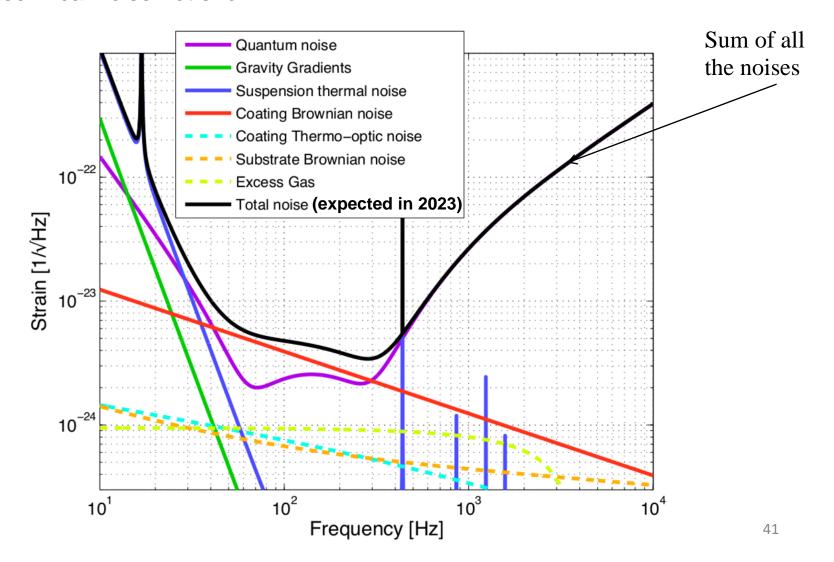
Rotating neutron stars

ds Signal averaged over days (~10<sup>6</sup> s)

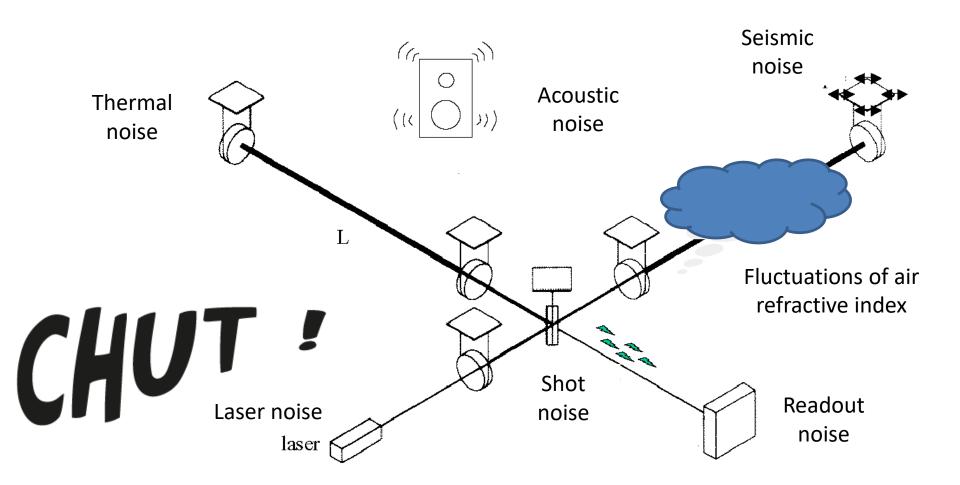
 $\rightarrow$  can detect h ~ 10<sup>-26</sup>

#### Nominal sensitivity of Advanced Virgo

Fundamental noise only
Possible technical noise not shown



#### **Fundamental noise sources**



#### **Under vacuum**

#### Goals

- Isolation against acoustic noise
- Avoid measurement noise due to fluctuations of air refractive index
- Keep mirrors clean

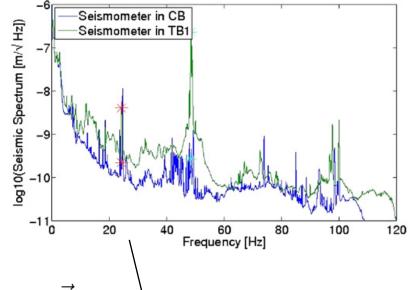
#### Advanced Virgo vacuum in a few numbers:

- Volume of vacuum system: 7000 m³
- Different levels of vacuum:
  - > 3 km arms designed for up to 10<sup>-9</sup> mbar (Ultra High Vacuum)
  - > ~10<sup>-6</sup> 10<sup>-7</sup> mbar in mirror vacuum chambers (« towers »)
- Separation between arms and towers with cryotrap links



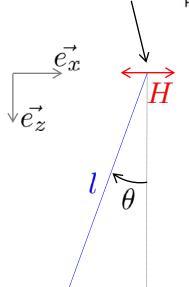


#### Seismic noise and suspended mirrors



Ground vibrations up to ~1  $\mu$ m/ $\sqrt{Hz}$  at low frequency decreasing down to ~10 pm/ $\sqrt{Hz}$  at 100 Hz

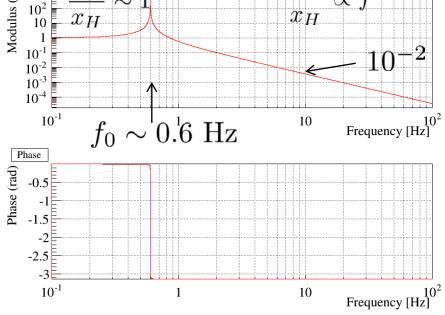
 $\gg 10^{-19} \,\mathrm{m}/\sqrt{\mathrm{Hz}}$  needed to detect GW !!



Assuming  $\delta x_H$  small and sinusoidal and  $\theta$  small:

$$\underline{x_M} = \underline{\mathcal{H}} \times \underline{x_H}$$

Transfer function



## Seismic noise: Virgo super-attenuators

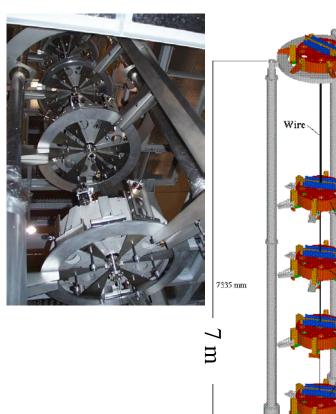
Filter Zero

-Pre-Isolator

Standard

Filter

Marionette



GROUND

Payload

Passive attenuation: 7 pendulum in cascade

At 10 Hz:  $\frac{x_{mirror}}{x_{ground}} \sim (10^{-2})^7 = 10^{-14}$  $x_{ground} \sim 10^{-9} \,\mathrm{m/\sqrt{Hz}}$  $\rightarrow x_{mirror} \sim 10^{-23} \,\mathrm{m/\sqrt{Hz}}$ 

This noise directly modifies the positions of the mirror surfaces, and thus  $\delta \Delta L$  and  $h_{rec}(t)$ !

**Active controls** at low frequency

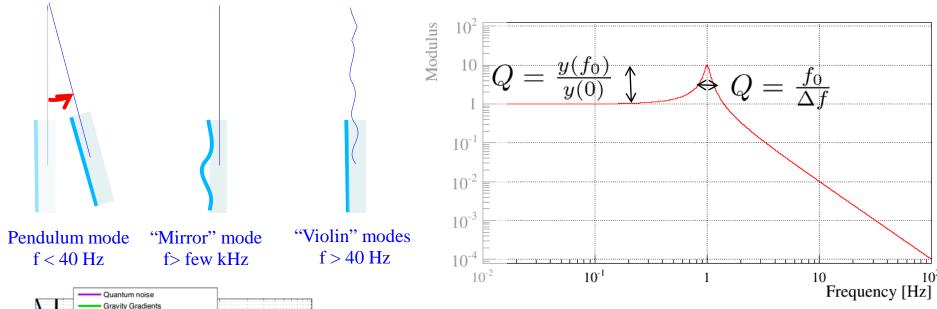
- Accelerometers or interferometer data
- Electromagnetic actuators
- Control loops

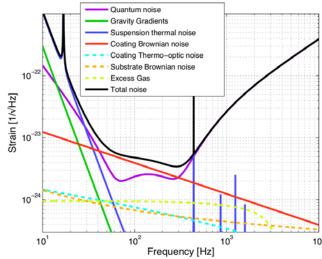


## Thermal noise (pendulum and coating)

#### Microscopic thermal fluctuations

→ dissipation of energy through excitation of the macroscopic modes of the mirror





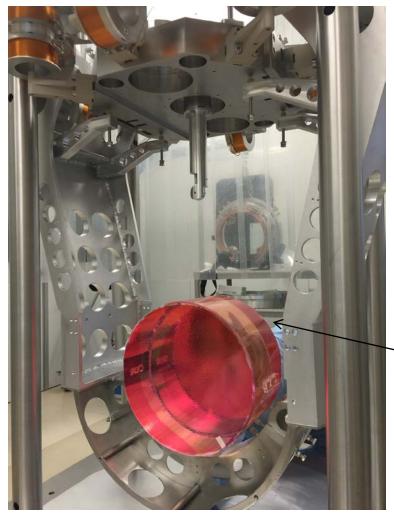
This noise directly modifies the positions of the mirror surfaces, and thus  $\delta \Delta L$  and  $h_{rec}(t)$ !

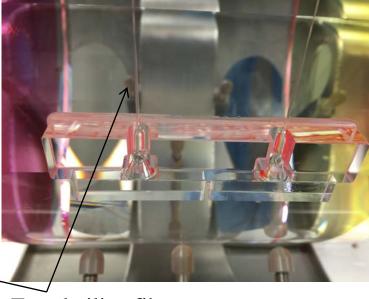
We want high quality factors Q to concentrate all the noise in a small frequency band

#### Reduction of thermal noise: monolithic suspensions

- Increase the quality factor of the mirrors (with respect to steel wires)
- Monolithic suspension developed in labs in Perugia and Rome







#### Fused-silica fibers:

- Diameter of 400 μm
- length of 0.7 m
- Load stress: 800 Mpa

#### Reduction of thermal noise: mirror coating

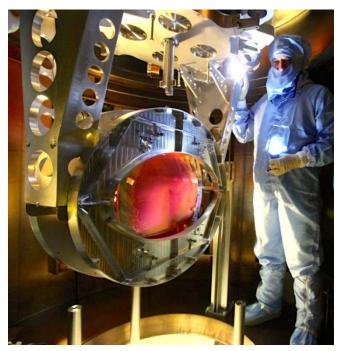


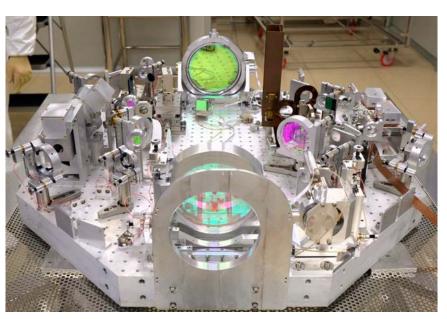
40 kg mirrors of Advanced Virgo 35 cm diameter, 40 cm width Suprasil fused silica

- Currently the main source of thermal noise
- Very high quality mirror coating developed in a lab close to Lyon (Laboratoire des Matériaux Avancés)
- R&D to improve mechanical properties of coating
- Cryogenics mirrors (at Kagra, future detectors)
   other substrate
   other coating
   other wavelength

## Thermal noise: coupling reduction

- Reduce the coupling between the laser beam and the thermal fluctuations
  - → use large beams: fluctuations averaged over larger surface
  - $\rightarrow$  Thermal Noise ~1/D, with D = beam diameter
- Impact of large beams:
  - Require large mirrors (and heavier):
    - > Advanced Virgo beam splitter diameter = 55 cm
  - High magnification telescopes to adapt beam size to photodetectors (from w=50 mm on mirrors to w=0.3 mm on sensors) > require optical benches





#### **Shot noise**

#### Fluctuations of arrival times of photons (quantum noise)

Power received by the photodiode:  $P_t$   $\rightarrow N = \frac{P_t}{h\nu}$  photons/s on average.

Arrival time of single photons

Standard deviation on this number: 
$$\sigma_N = \sqrt{N}$$

$$\rightarrow \sigma_{P_t} = \sigma_N \times h\nu = \sqrt{\frac{P}{h\nu}}h\nu = \sqrt{P_t h\nu}$$

Virgo laser: 
$$\lambda = 1.064 \, \mu \mathrm{m} \rightarrow \nu = \frac{\mathrm{c}}{\lambda} \sim 2.8 \times 10^{14} \, \mathrm{Hz}$$

Working point: 
$$P_t \sim 80 \,\mathrm{mW} \quad \rightarrow \quad \sigma_{P_t} = 0.1 \,\mathrm{nW}/\sqrt{\mathrm{Hz}}$$

 $\rightarrow$  a variation of power is interpreted as a variation of distance  $\delta \Delta L$ 

$$\delta P_t = (\text{Virgo response}) \times L_0 \times h$$

$$(\text{in W/m})$$

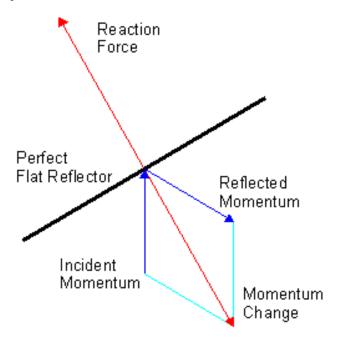
$$h_{equivalent} = \frac{1}{L_0} \frac{\sigma_{P_t}}{\text{(Virgo response)}}$$

$$\rightarrow$$
 h<sub>equivalent</sub>  $\alpha$  1/ $\sqrt{P}$ 

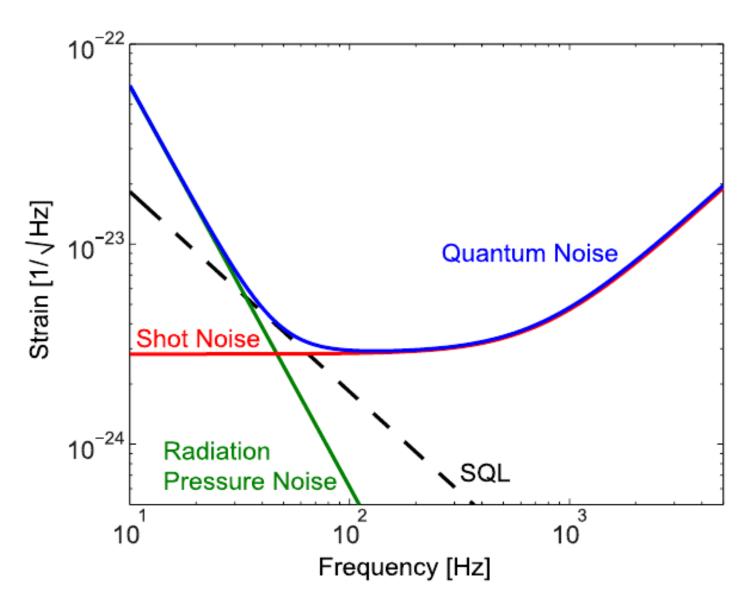
#### Radiation pressure noise

- Radiation pressure: transfer of photon's momentum to the reflective surface (recoil force)
- Radiation pressure noise: due to fluctuations of number of photons hitting the mirror surfaces > mirror motion noise
- Radiation pressure noise impact at low frequency:
  - > Mirror motion filtered by pendulum mechanical response

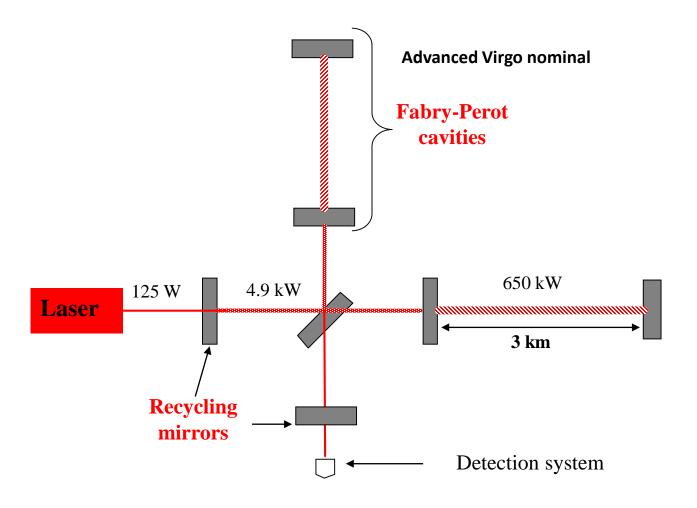
$$\rightarrow$$
 **h**<sub>equivalent</sub>  $\alpha \sqrt{\mathbf{P}}$ 



#### Quantum noise in the sensitivity



#### Minimizing shot noise with optical configuration



#### Reduction of shot noise: high power laser

#### **Goal for AdV (nominal):**

- continuous 200 W laser, stable monomode beam (TEM00), 1064 nm
   Only 33W currently injected in Advanced Virgo
- → decrease shot noise contribution

#### **But limited by side-effects:**

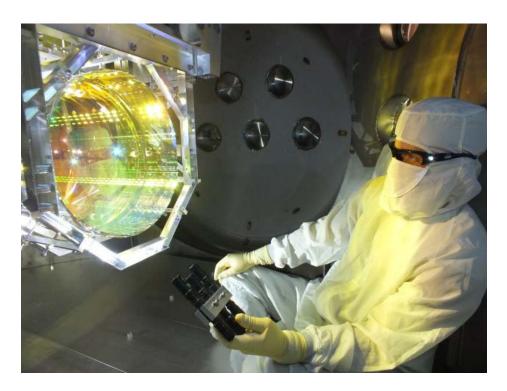
- Radiation pressure
  - Increase of radiation pressure noise
  - Cavities more difficult to control
  - Parametric instabilities: coupling of laser high order modes with mirrors mechanical modes
- > Thermal absorption in the mirrors (optical lensing)
  - → Need of thermal compensation system

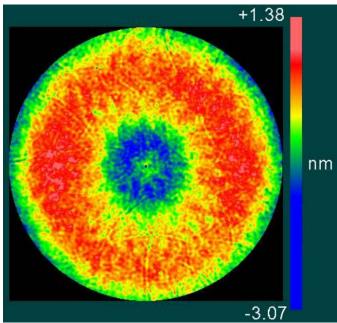
Avoid optical losses to not spoil high power → high quality mirrors

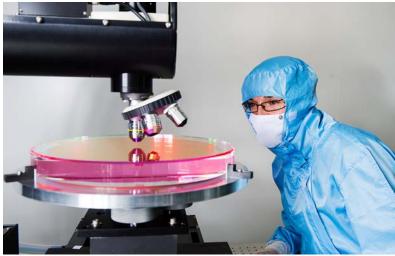


#### « Perfect » mirrors

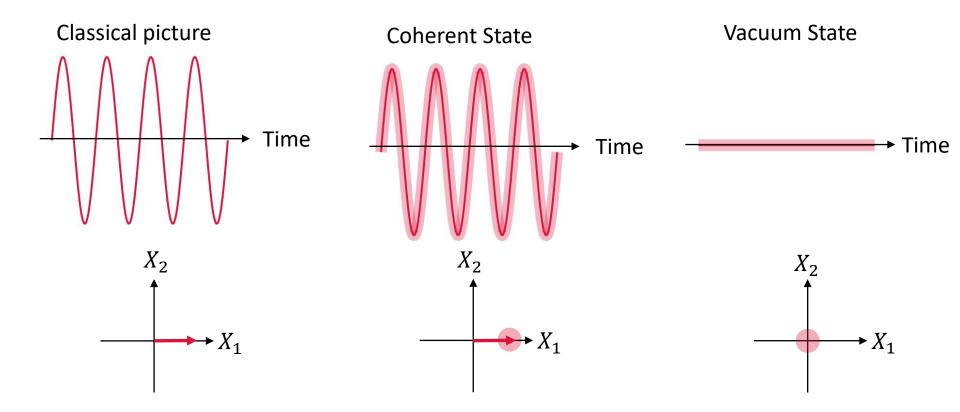
- 40 kg, 35 cm diameter, 20 cm thickness in ultra pure silica
- Uniformity of mirrors is unique in the world:
  - a few nanometers peak-to-valley
  - flatness < 0.5 nm RMS (over 150mm diameter)



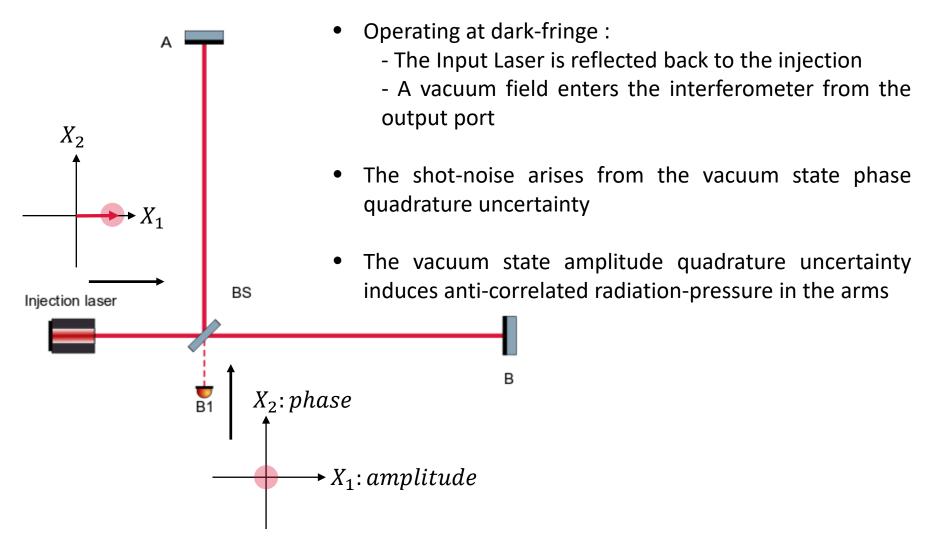




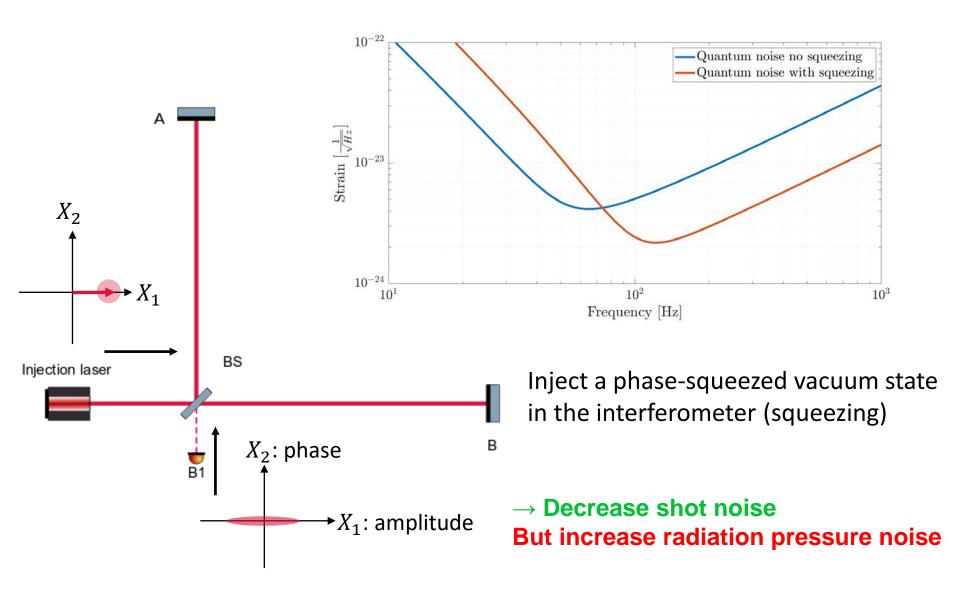
# **Optical field models**



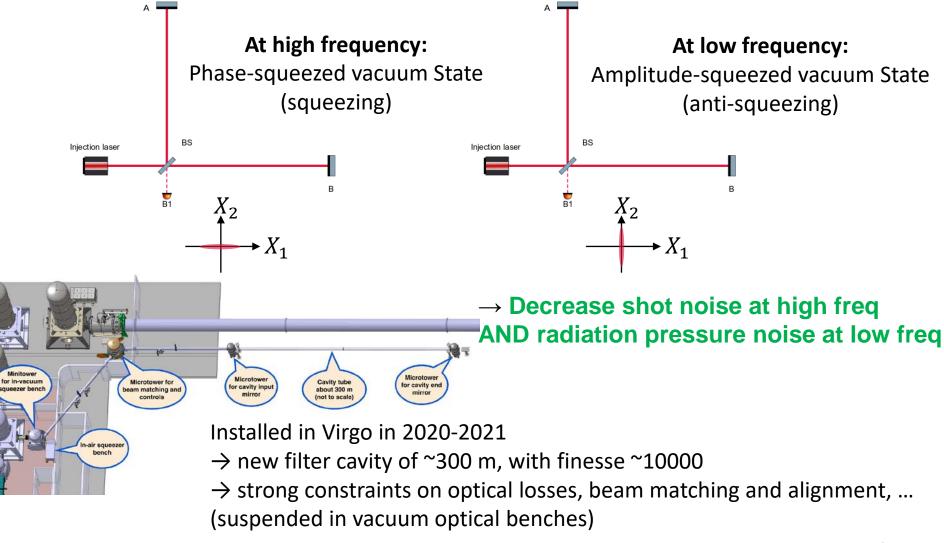
# Michelson interferometer at dark fringe and quantum noises



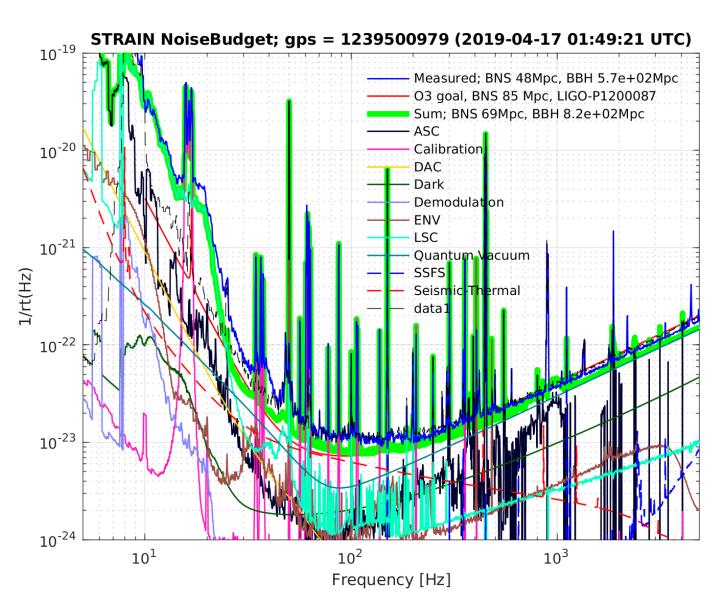
#### Reduction of shot noise: squeezing



# Reduction of quantum noise: frequency dependent squeezing

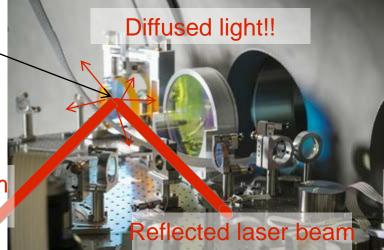


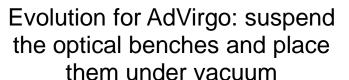
#### **Example of Advanced Virgo noise budget (O3 run)**



**Example of technical noise: Diffused light** 

Optical element (mirror, lens, ...) vibrating due to seismic or acoustic noises







Incident laser beam

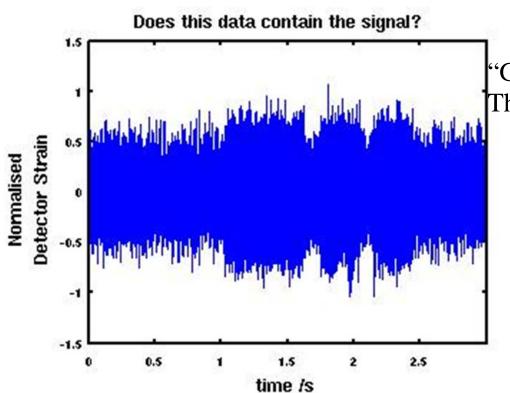
some photons of the diffused light gets recombined with the interferometer beam

phase noise

extra power fluctuations (imprint of the optical element vibrations)

R. Gouaty - GraSPA 2022 - Annecy

#### Noises are not always stationary



"Glitches" are impulses of noise.

They might look like a transient GW signal

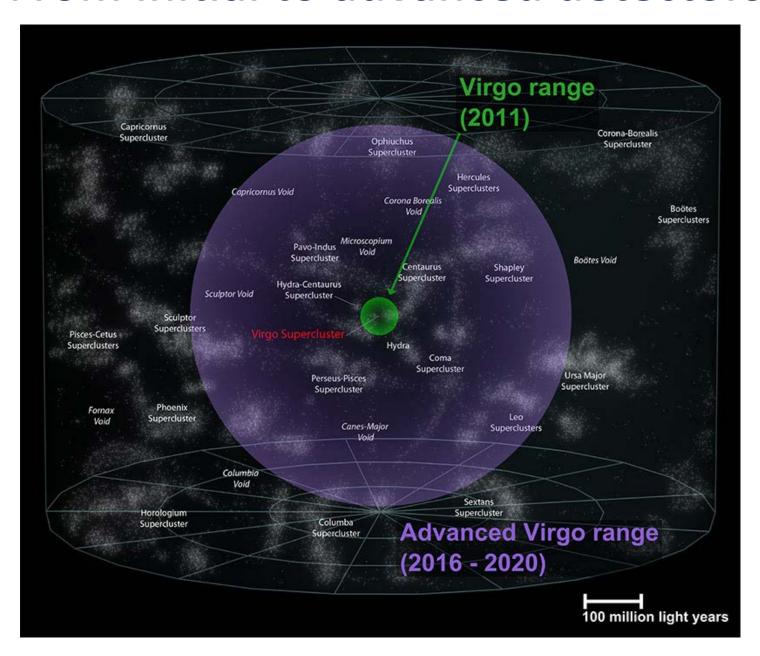
İ

- □ environmental disturbances monitored with an array of sensors: seismic activities, magnetic perturbations, acoustic noises, temperature, humidity
   → used to veto false alarm triggers due to instrumental artifacts
- requires coincidence between 2 detectors to reduce false alarm rate

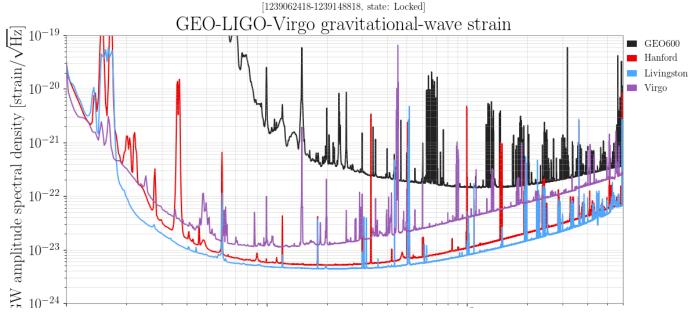
#### **Table of Contents**

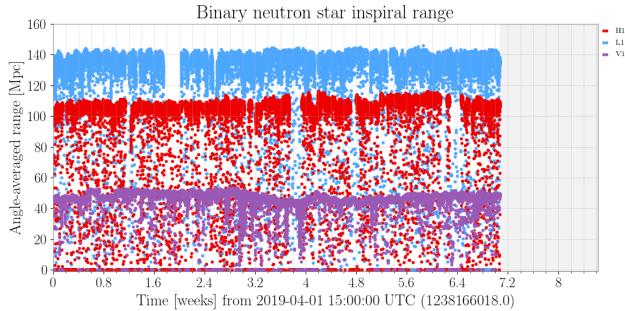
- How can we detect gravitational waves with laser interferometers?
- How do ground-based interferometers work?
  - > The Virgo optical configuration or how to measure 10<sup>-20</sup> m
  - How to maintain the ITF at its working point?
  - How to measure the GW strain h(t) from this detector?
  - Noises limiting the ITF sensitivity: how to tackle them?
- Prospectives for interferometers and other detectors

#### From initial to advanced detectors



# Interferometers sensitivity during O3

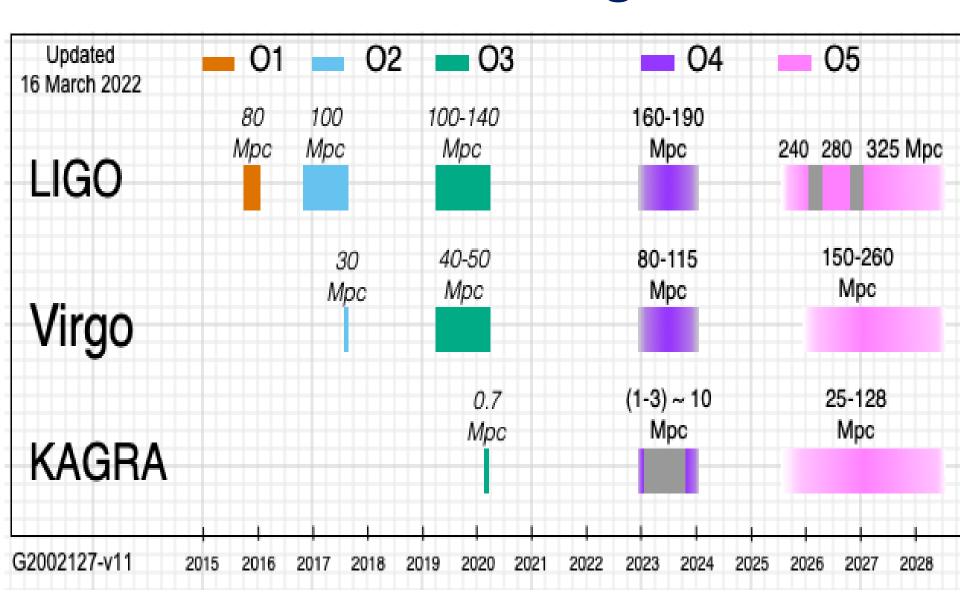




#### **BNS Range:**

Distance at which a neutron star binary coalescence with averaged orientation over the sky can be seen with signal-to-noise ratio of 8

# **Future observing runs**



# **Einstein Telescope**

 Third generation interferometer: gain another factor 10 in sensitivity and enlarge bandwidth

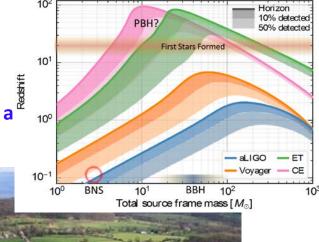
Located underground, ~10 km arms

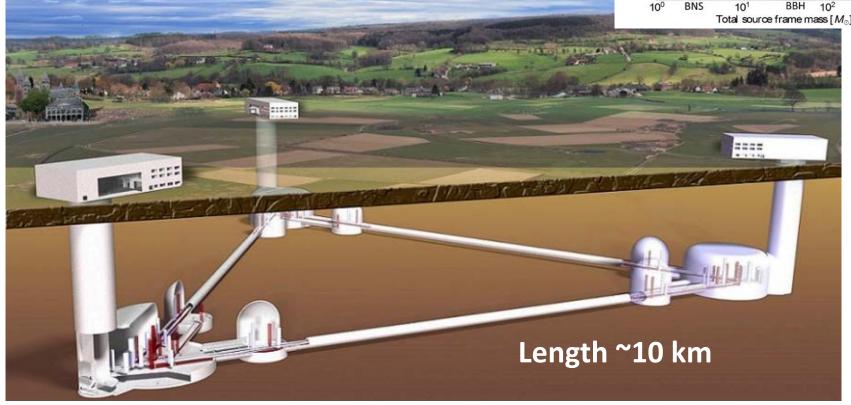
Thermal noise reduction with cryogenics

Xylophone detector: cold + hot interferometers

In operation after 2030?

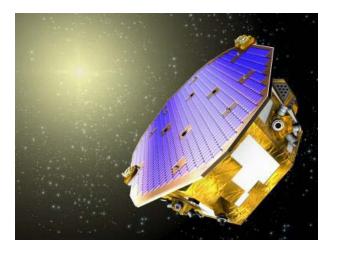
Could probe CBC signals from a large fraction of the Universe

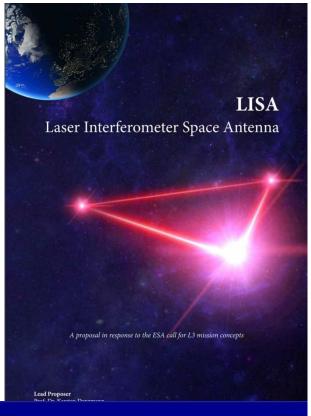


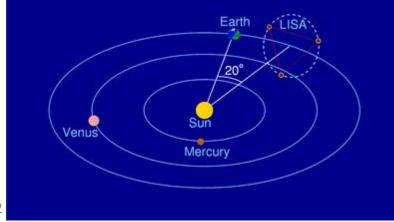


# Spatial interferometer: LISA

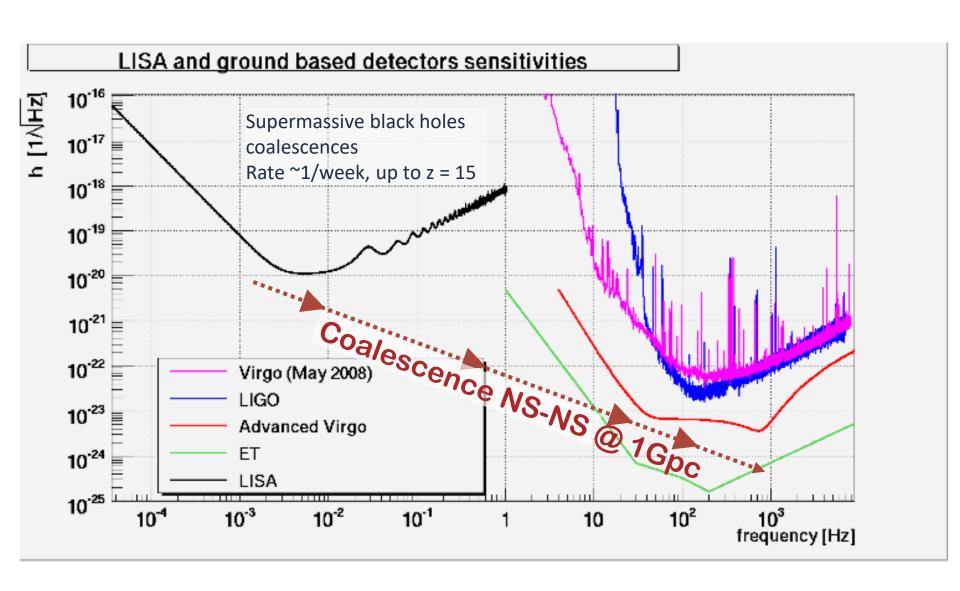
- Bandwidth: 0.1 mHz to 1 Hz (2.5 million km arm length)
- Launch of LISA in the years 2030?
  - $\rightarrow$  operation for 5 to 10 years
- Successful intermediate step: LISA Pathfinder
  - ➤ launched end 2015
  - > test of free-fall masses
  - validation of differential motion measurements





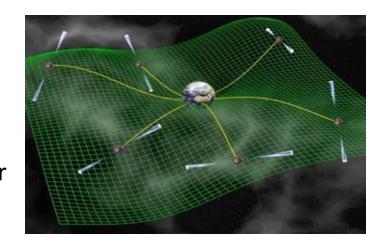


# **ET and LISA performances**



# Pulsars timing arrays

- Bandwidth: 1 nHz to 1000 nHz
- Observation of 20 ms pulsars in radio
  - GW cause the time of arrival of the pulses to vary by a few tens of nanoseconds over their wavelength
  - Weekly sampling over 5 years



- International network
  - Parkes PTA
  - North American NanoHertz Gravitationnal Wave Observatory
  - European PTA
- First detections expected in the coming years!



# A large GW spectrum to be studied...

