Self-supervision in particle physics

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IRN-Terascale @ Bonn

Symmetries, Safety, and Self-Supervision, hep-ph/2108.04253
BMD, Gregor Kasieczka, Hans Olischlager, Tilman Plehn, Peter Sorrenson, and Lorenz Vogel

UNIVERSITÄT HEIDELBERG Zukunft. Seit 1386.

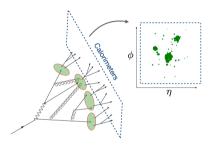
1. ML and jet physics

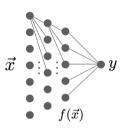
2. Self-supervision

3. Results

4. Outlook

Neural network maps kinematical data to a predicted label (supervised)





- simulations provide training data $\{\vec{x}_i\}$ and truth-labels $\{y_i'\}$
- neural network is optimised to minimise a loss function: $\mathcal{L}_i = y_i' \log(y_i) + (1 y_i') \log(1 y_i)$
- loss function is minimised when QCD and top jets are well-separated in y
- predicted label is a new observable used to tag top-jets

Neural networks don't explicitly learn the invariances associated with jets

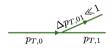
* we can't know exactly what features the network learns (..simulation artefacts?..)

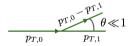
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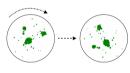
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What do we want the network to learn?

- · rotational invariance
- · translational invariance
- · permutation invariance
- IR safety
- collinear safety







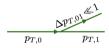
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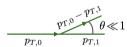
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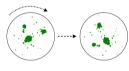
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$$f(R\vec{x}) = f(\vec{x}) = y$$

→ How can we control what a neural network learns?
Can we force it to learn invariances from the raw data?

Optimising observables / representations

Key idea

Reframe the definition of our observables as an optimisation problem to be solved with machine-learning

What do we fundamentally want from observables?

- 1. invariance to certain transformations / augmentations of the jets
- 2. discriminative within the space of jets

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 - neural networks are optimised using pseudo-labels, not truth labels
 - ightarrow independent of signal-types + can run directly on expt. data
- Contrastive-learning (SimCLR, Google Brain, Hinton et al)
 map raw jet data to a new representation / observables

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arxiv:2107.soon, 'Contrastive learning of jet observables' BMD, G. Kasieczka, H. Olischlager, T. Plehn, P. Sorrenson, and L. Vogel

Dataset: mixture of top-jets and QCD-jets

From the dataset of jets $\{x_i\}$ define:

- positive-pairs: {(x_i, x'_i)} where x'_i is an augmented version of x_i related by augmentation
- negative-pairs: $\{(x_i, x_j)\} \cup \{(x_i, x_j')\}$ for $i \neq j$ not related by augmentation

Augmentation: any transformation (e.g. rotation) of the original jet

positive and negative pairs = pseudo-labels

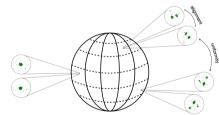
Train a network to map raw data to a new representation space, $f: \mathcal{J} \to \mathcal{R}$, minimising the contrastive loss:

$$\mathcal{L}_i = -\log \frac{\exp(s(z_i, z_i')/\tau)}{\sum_{x \in batch} \mathbb{I}_{i \neq j} \left[\exp(s(z_i, z_j')/\tau) + \exp(s(z_i, z_j')/\tau) \right]}$$

Similarity measure in R:

$$s(z_i, z_j) = \frac{z_i \cdot z_j}{|z_i||z_i|}$$

⇒ defined on unit-hypersphere



This optimises for:

- 1. alignment: positive-pairs close together in $\mathcal{R} \Rightarrow \text{invariance}$
- 2. uniformity: negative-pairs far apart in $\mathcal{R} \Rightarrow$ discriminative

The training procedure:

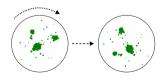
- 1. sample batch of jets, x_i
- **2.** create an augmented batch of jets, x_i'
- 3. forward-pass both through the network
- 4. compute the loss & update weights

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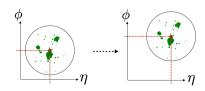
rotations

Angles sampled from $[0, 2\pi]$



translations

Translation distance sampled randomly



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collinear splittings

some constituents randomly split,

$$p_{T,a} + p_{T,b} = p_T$$
, $\eta_a = \eta_b = \eta$
$$\phi_a = \phi_b = \phi$$

$low p_T$ smearing

 (η, ϕ) co-ordinates are re-sampled:

$$\begin{split} \eta' &\sim \mathcal{N}\left(\eta, \frac{\Lambda_{\text{soft}}}{p_T} r\right) \\ \phi' &\sim \mathcal{N}\left(\phi, \frac{\Lambda_{\text{soft}}}{p_T} r\right). \end{split}$$

The training procedure:

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permutation invariance

Transformer-encoder network

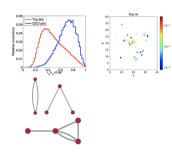
- * based on 'self-attention' mechanism
- * output invariant to constituent ordering

more info, in additional slides

Quality measure of observables

Many representations used in practice:

- · raw constituent data
- · jet images
- Energy Flow Polynomials (Thaler et al: arXiv:1712.07124)



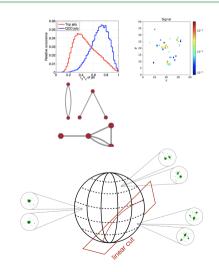
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Compare these using a Linear Classifier Test (LCT)

- * use top-tagging as a test
- * linear cut in the observable space
- * supervised uses simulations
- * measures:
 - $\epsilon_{\rm S}$ true positive rate
 - ϵ_{b} false positive rate



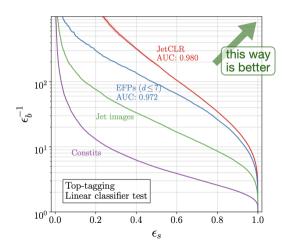
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Linear classifier test results



Linear classifier test results

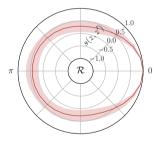
Where does the performance come from?

Augmentation	$\epsilon_b^{-1}(\epsilon_s = 0.5)$	AUC
none	15	0.905
translations	19	0.916
rotations	21	0.930
soft+collinear	89	0.970
all combined (default)	181	0.980

- soft + collinear has the biggest effect
 translations + rotations also significant in final combination
- * also not very sensitive to S/B

Invariances in representation space

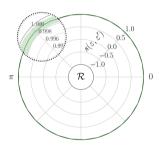
without rotational invariance



$$\star$$
 $s(z,z') = \frac{z \cdot z'}{|z||z'|}$, $z = f(\vec{x})$, $z' = f(R(\theta)\vec{x})$

 \Rightarrow The network $f(\vec{x})$ is approx rotationally invariant

with rotational invariance



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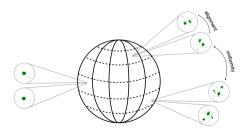
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Outlook

Self-supervision allows for:

- 1. data-driven definition of observables
- 2. invariance to pre-defined symmetries/augmentations
- 3. high discriminative power

An example: **JetCLR** (contrastive learning of jet observables)



Outlook

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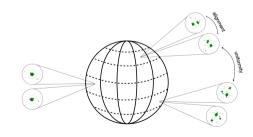
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On-going work:

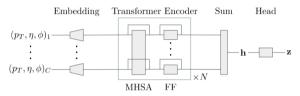
- · Robust jet representations
- anomaly-detection better representations
 - ⇒ better results!

(coming soon...)



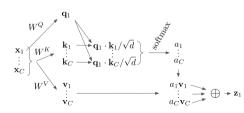
The network

We use a transformer-encoder network \rightarrow permutation invariance



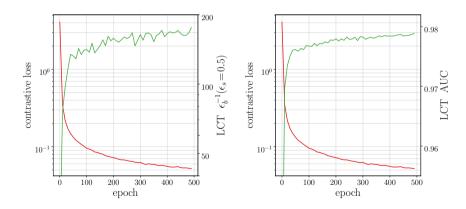
Equivariance \rightarrow invariance is similar to Deep-Sets/Energy-Flow-Networks: arXiv:1810.05165, P. T. Komiske, E. M. Metodiev, J. Thaler

The attention mechanism captures correlations between constituents by allowing each constituent to assign attention weights to every other constituent.



Linear classifier test results

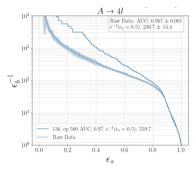
Performance as a function of training time / epochs



Self-supervised anomaly-detection (PRELIMINARY)

Self-supervised representations + autoencoders (w. Friedrich Feiden)

- · CMS anomaly-detection challenge
- Events:
 MET, 10 jets, 4 electrons, 4 muons
- Signal $A \rightarrow 4l$
- Self-supervision increases background rejection by O(5)



Other anomaly metrics taken directly from the self-supervised latent space also show promise

 \rightarrow work in progress...