



Multiwavelength studies of the interstellar contents of gamma-ray bright supernova remnants

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LERMA





INTRODUCTION

How to interpret gamma-ray observations ?

The supernova remnant IC443

REVIEW : CHARACTERIZING THE INTERSTELLAR MEDIUM OF SUPERNOVA REMNANTS

Atomic and molecular lines,

Dust thermal emission,

Magnetic field,

Star formation,

SUMMARY AND OUTLOOK



Multi-phase medium :

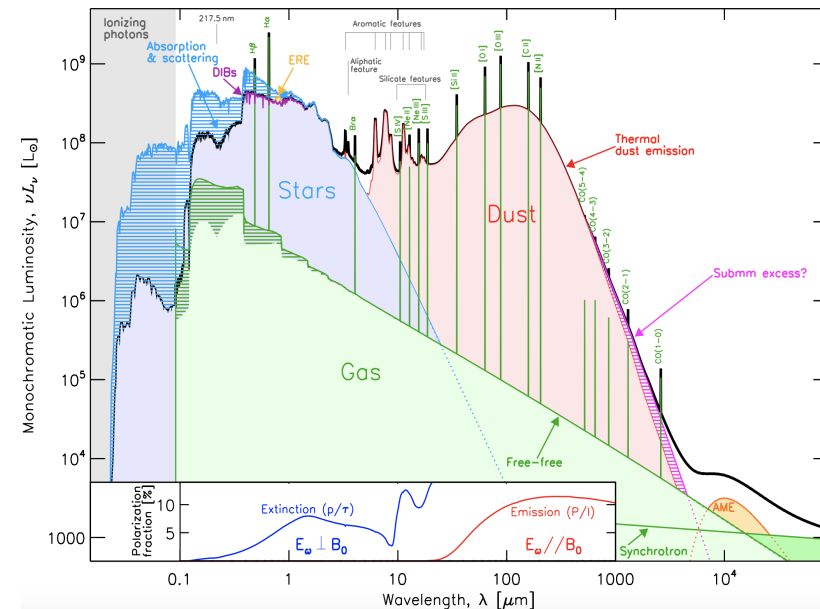
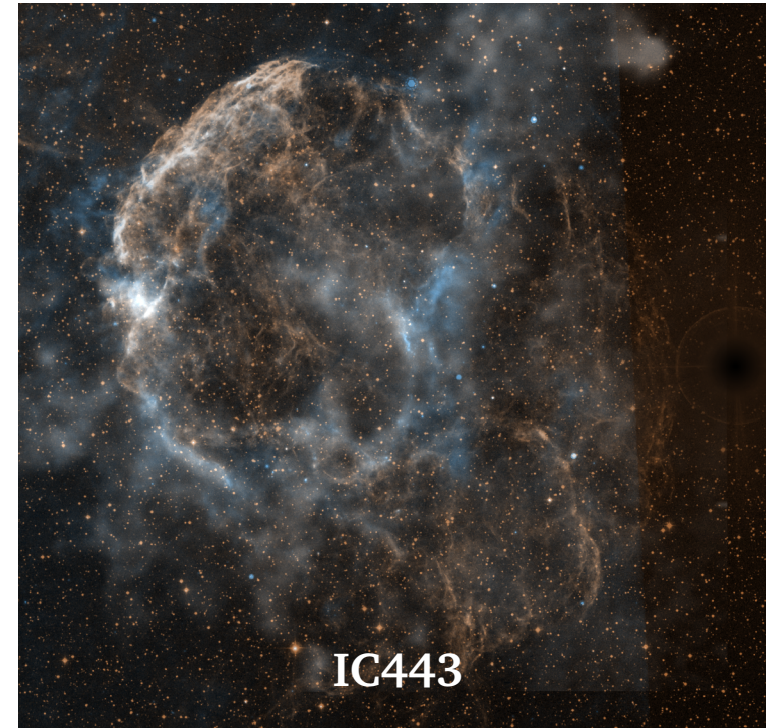
- gas, grains ($\sim 1\%$ of the mass)
- various ionization states
- various densities ($\sim 10^{-3}$ to 10^6 cm^{-3})
- various temperatures (~ 10 to 10^6 K)

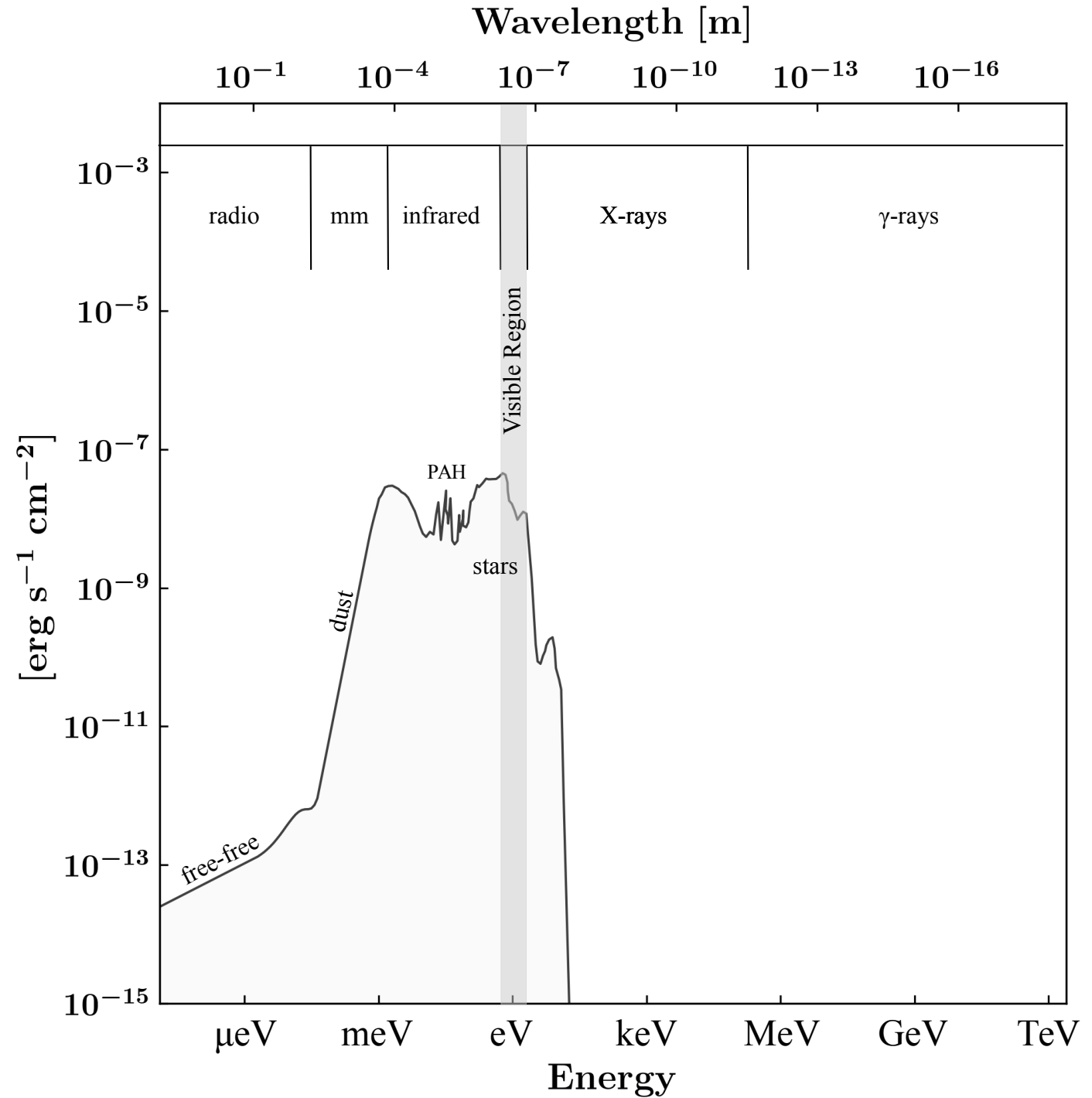
Multi-scales (coupled) :

- Molecular clouds, SNR cavities ($\sim 10 \text{ pc}$)
- Protostars ($\sim 10 \text{ au}$)

Various radiation fields :

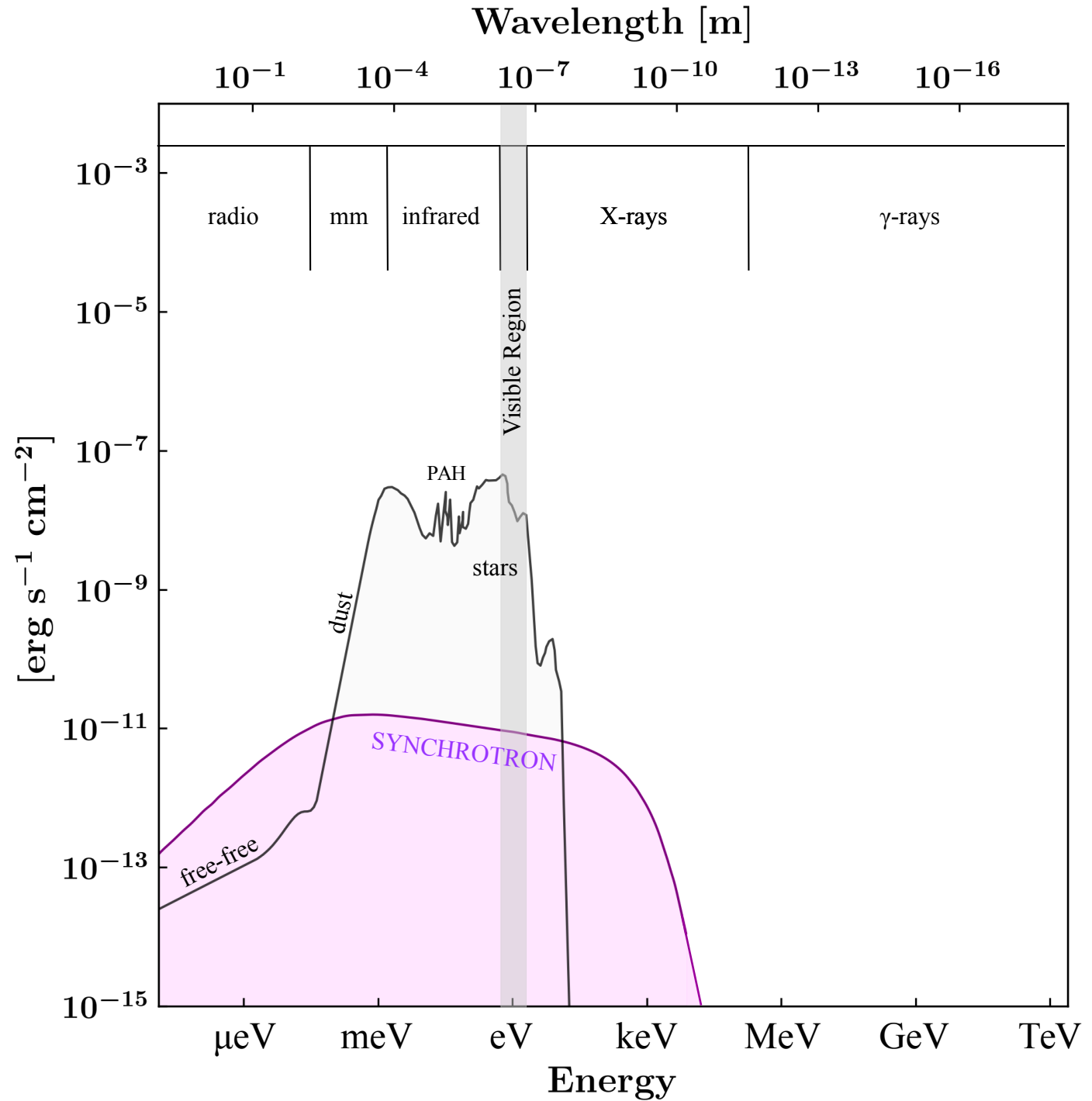
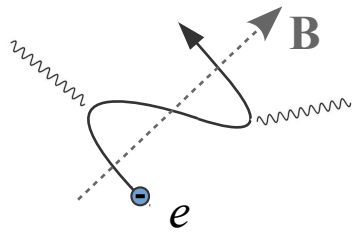
- from radio waves to gamma rays
- magnetic fields

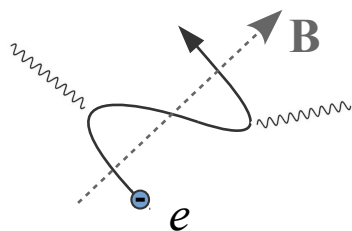
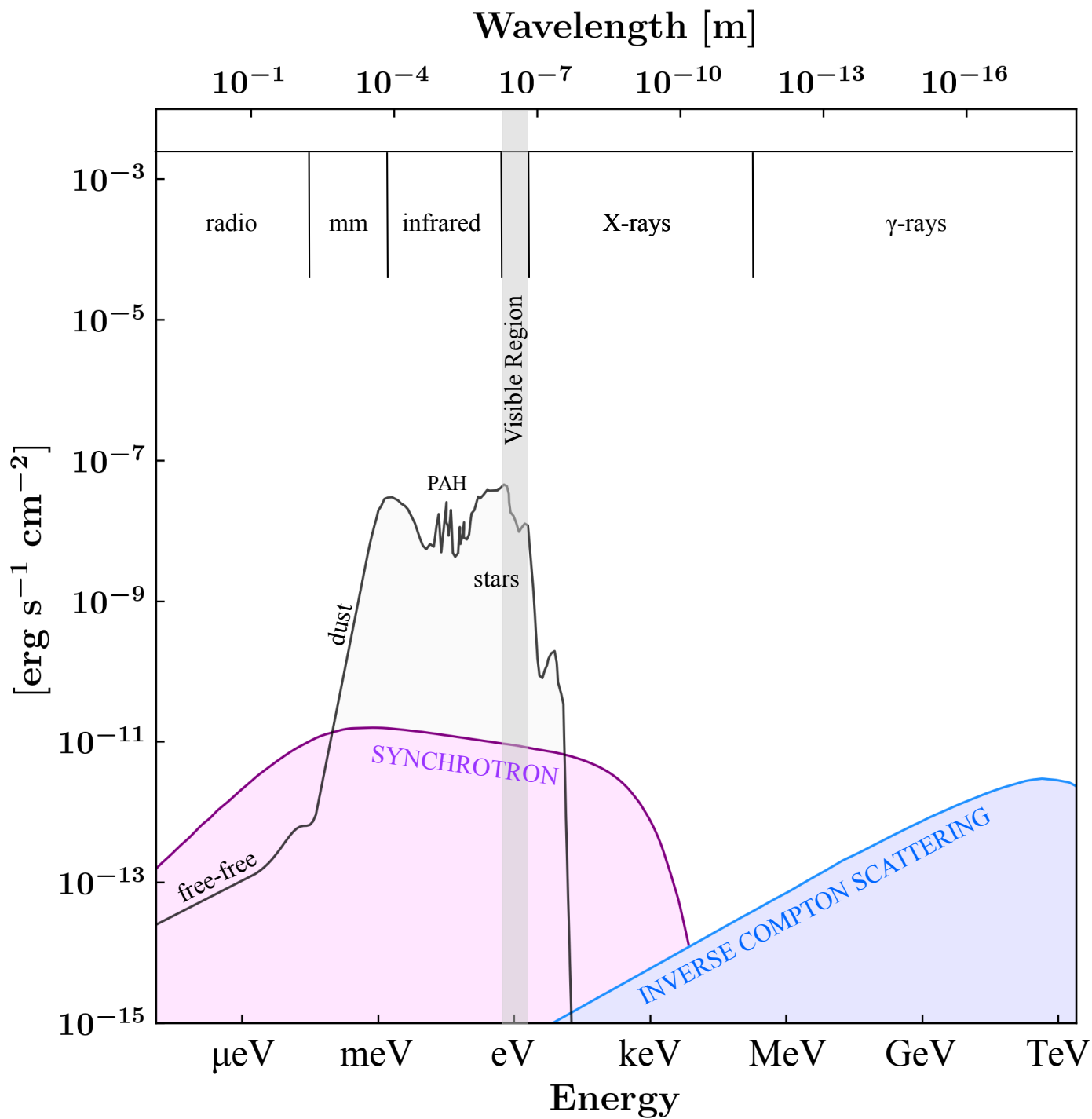
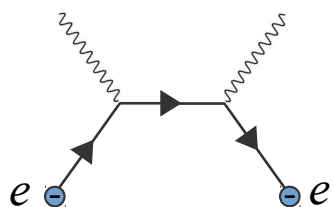


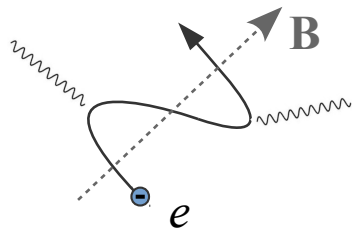
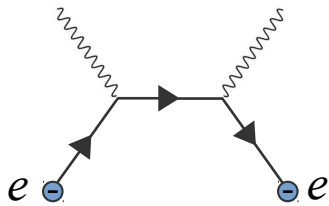
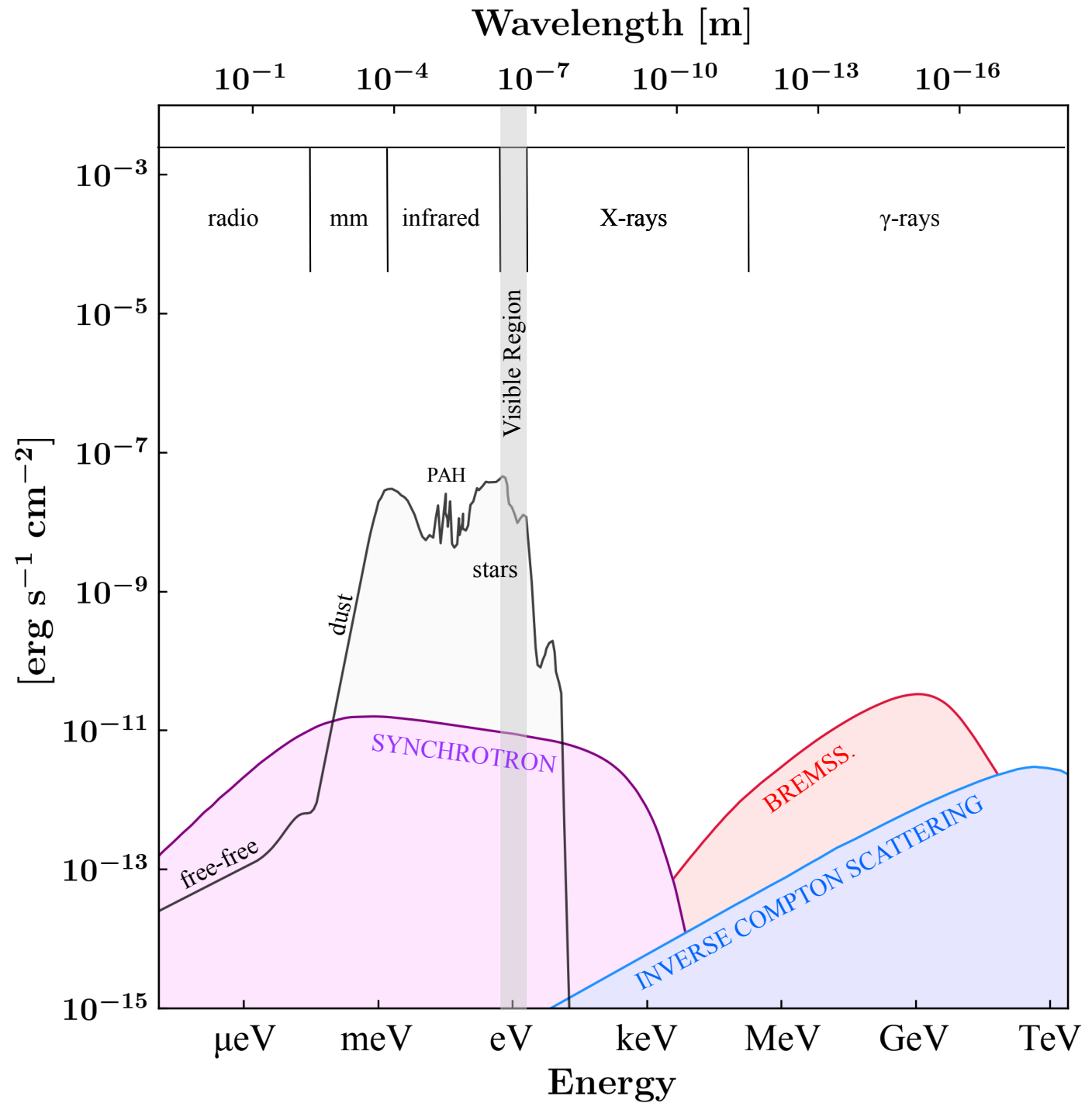
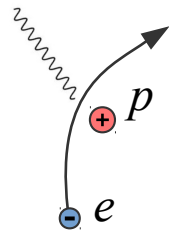


ISM + **leptonic** cosmic-rays

Synchrotron

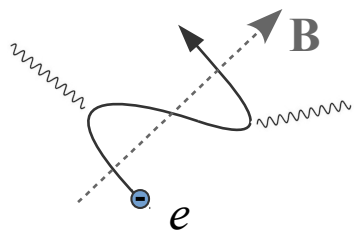


ISM + **leptonic** cosmic-rays**Synchrotron****Inverse Compton scattering**

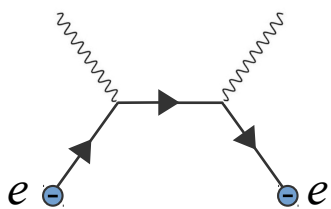
ISM + **leptonic** cosmic-rays**Synchrotron****Inverse Compton scattering****Bremsstrahlung**

ISM + leptonic cosmic-rays

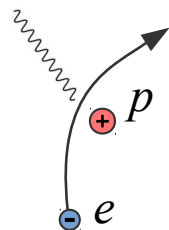
Synchrotron



Inverse Compton scattering

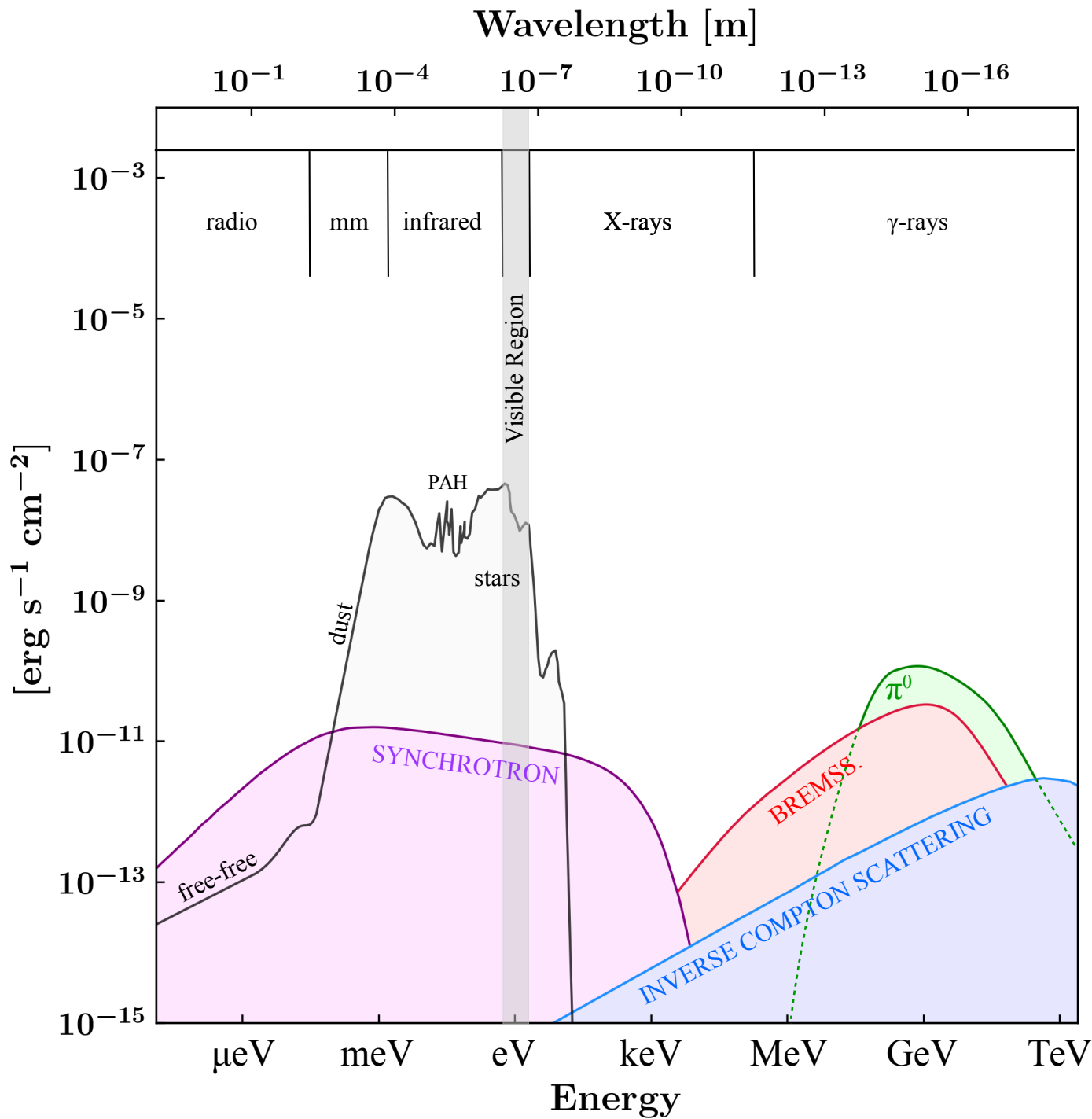
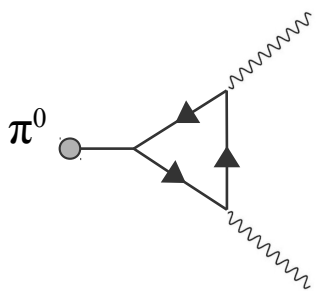


Bremsstrahlung



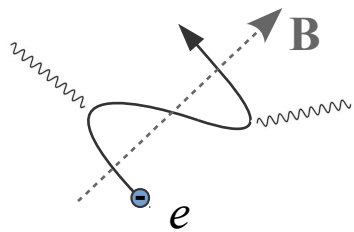
ISM + hadronic cosmic-rays

Pion decay

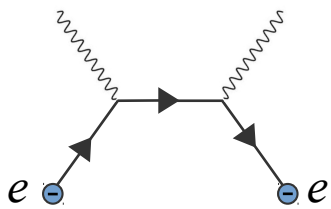


ISM + **leptonic** cosmic-rays

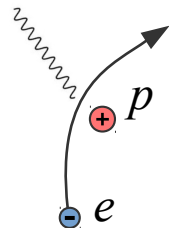
Synchrotron



Inverse Compton scattering

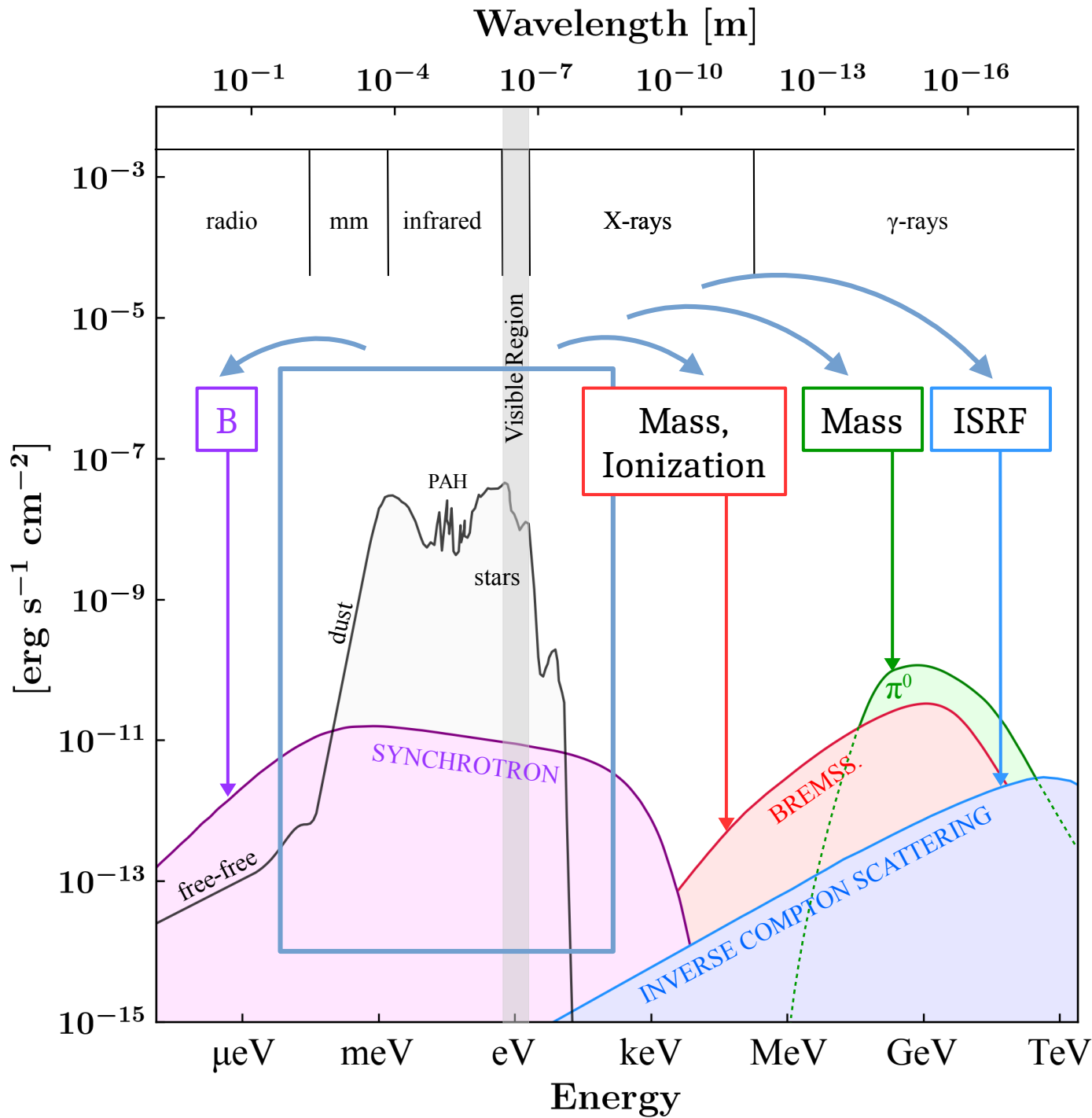
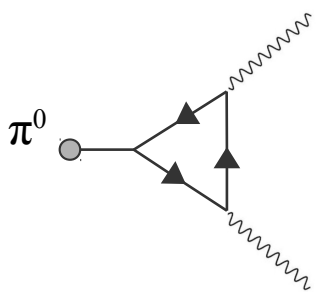


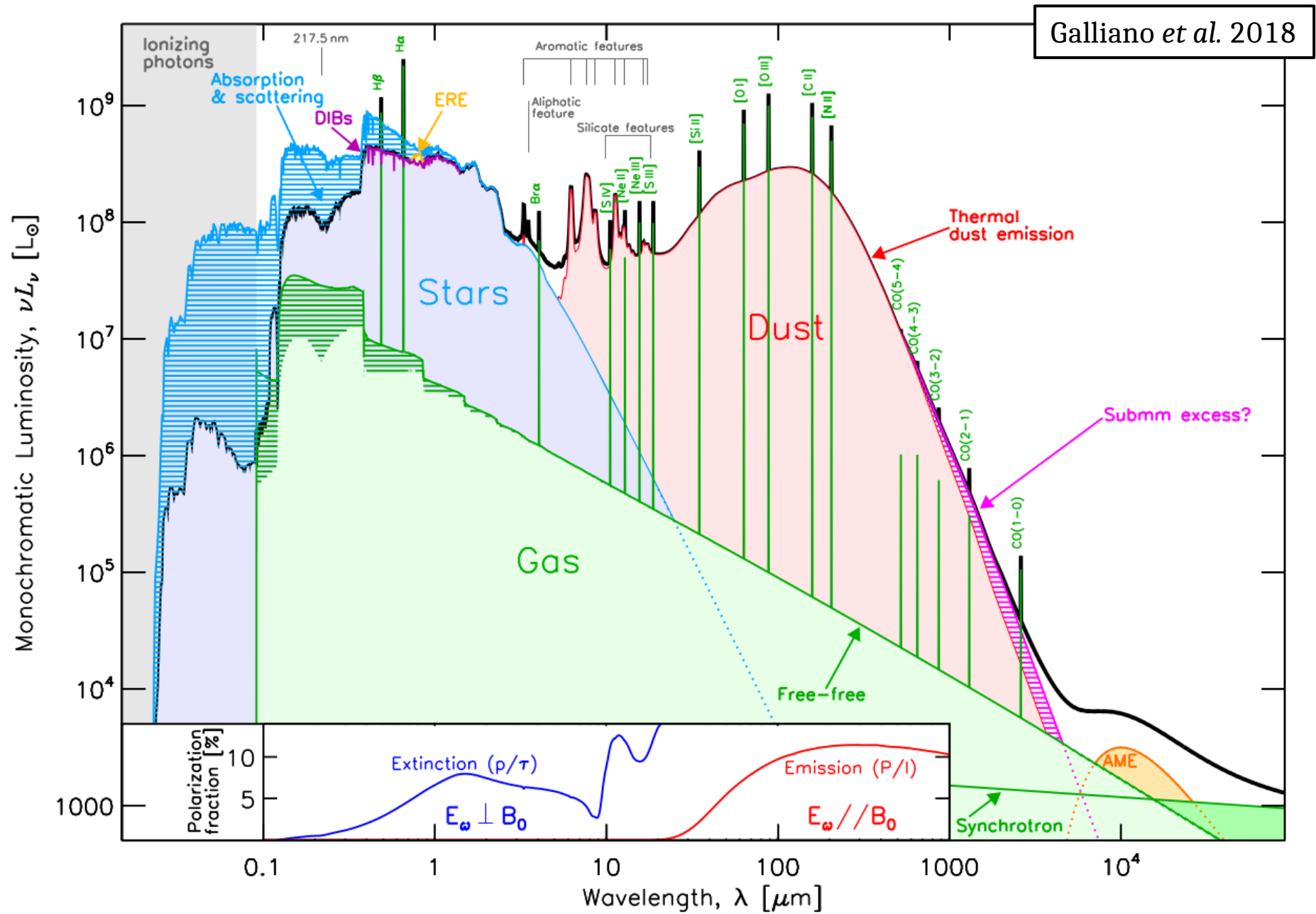
Bremsstrahlung



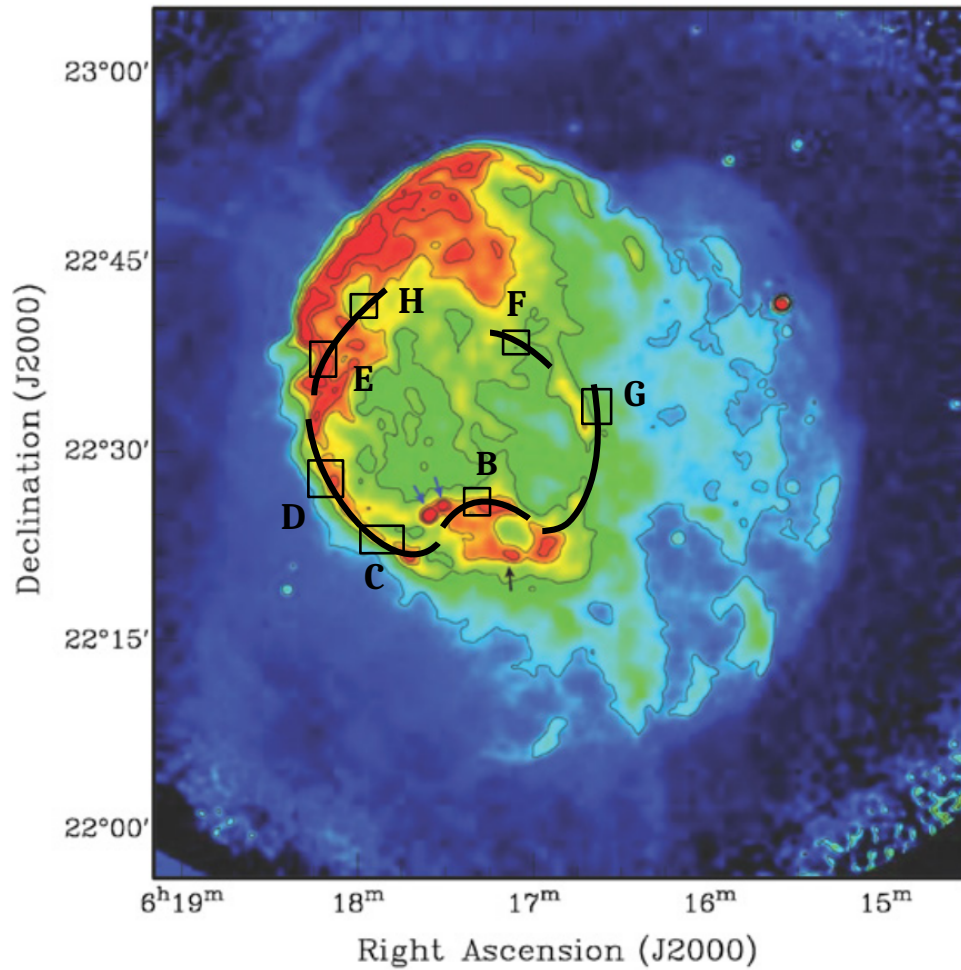
ISM + **hadronic** cosmic-rays

Pion decay



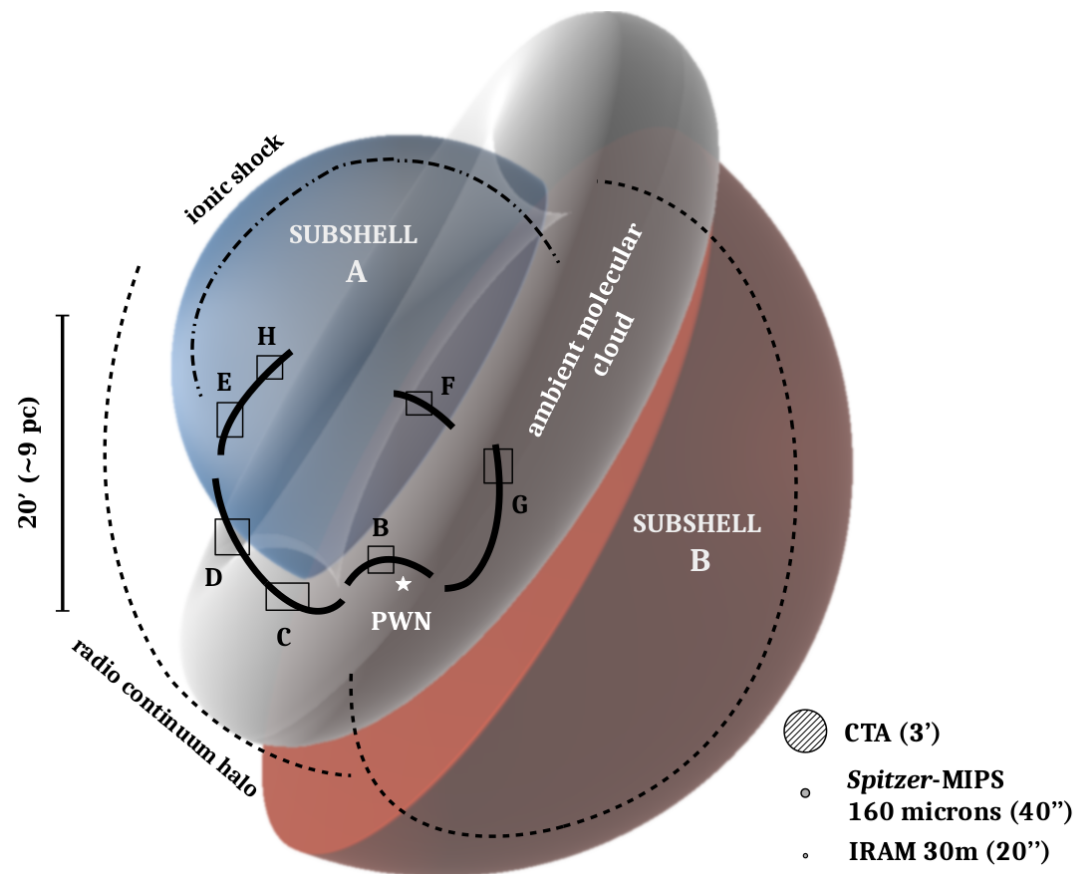


The supernova remnant IC443



21cm radio continuum

Lee *et al.* (2008)



multiwavelength

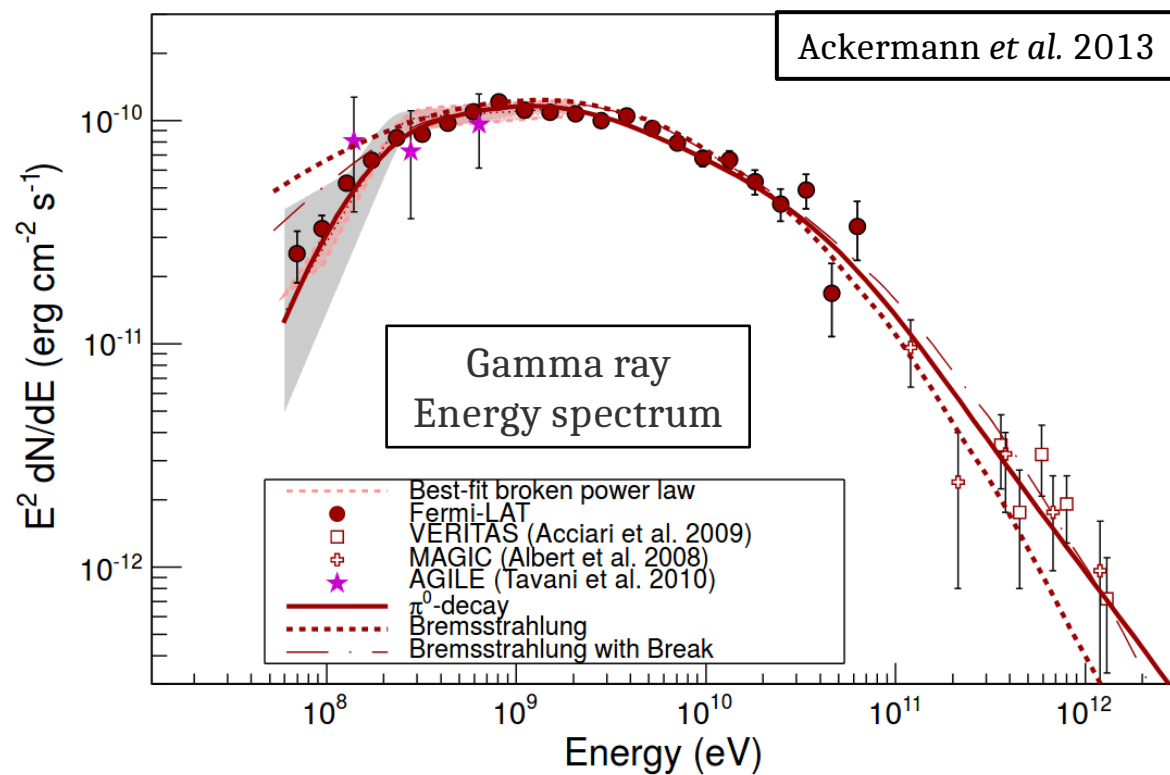
Lee *et al.* (2008, 2012)

Troja *et al.* (2008)

Dickman *et al.* (1992)

VHE emission models of IC443
are partially degenerate.

**Can we better constrain the
interstellar contents ?**



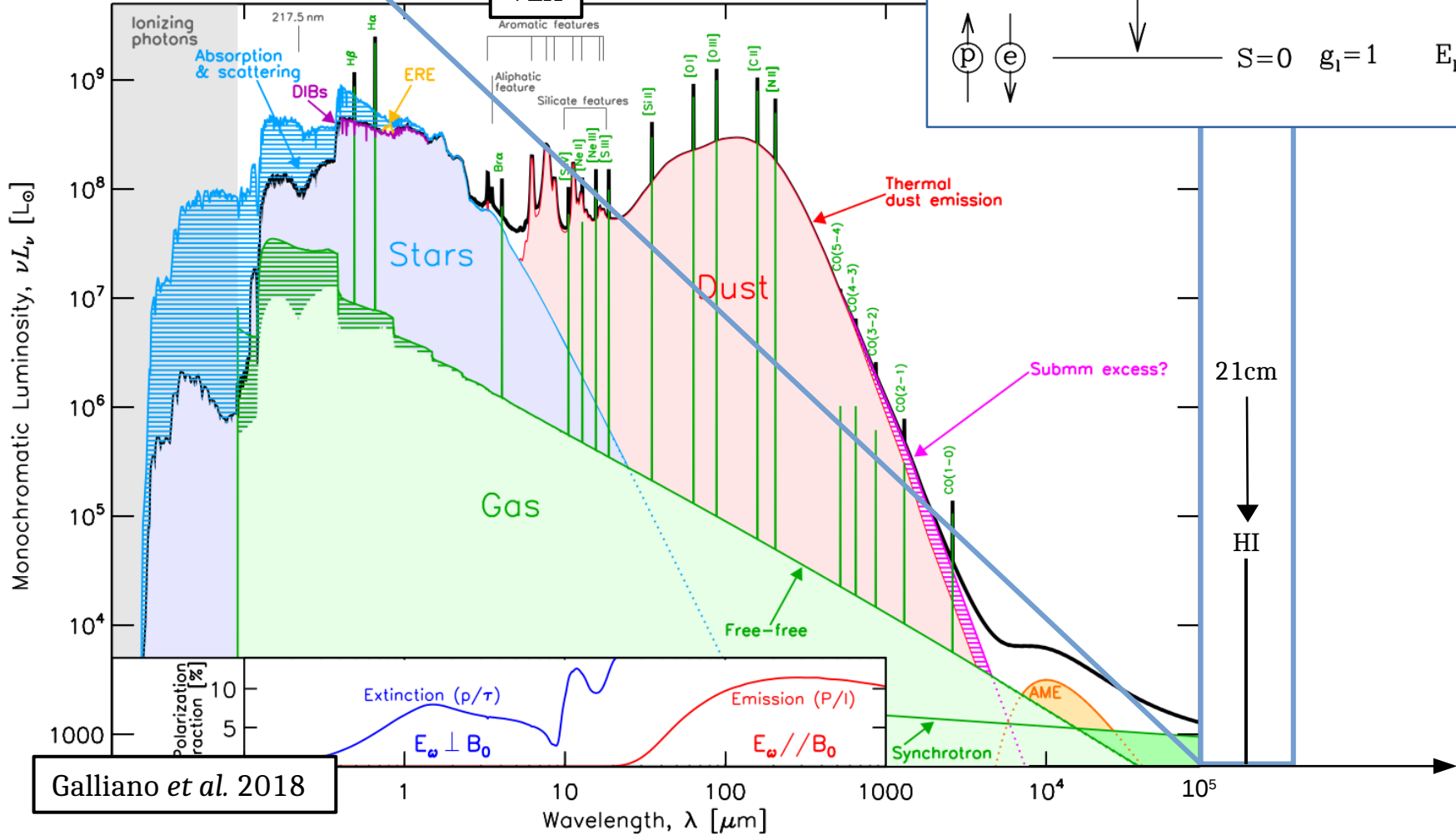
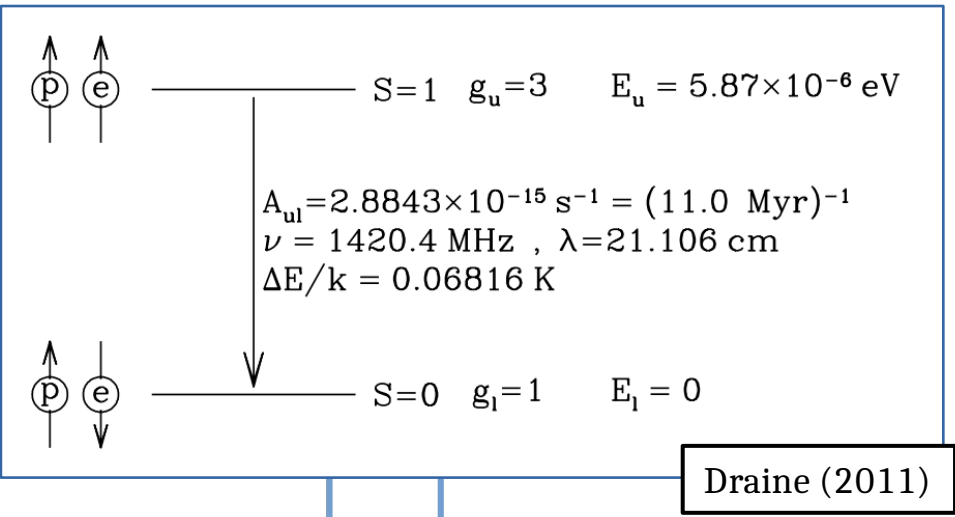
Atomic and molecular phases

HI, ^{12}CO and H_2 observations



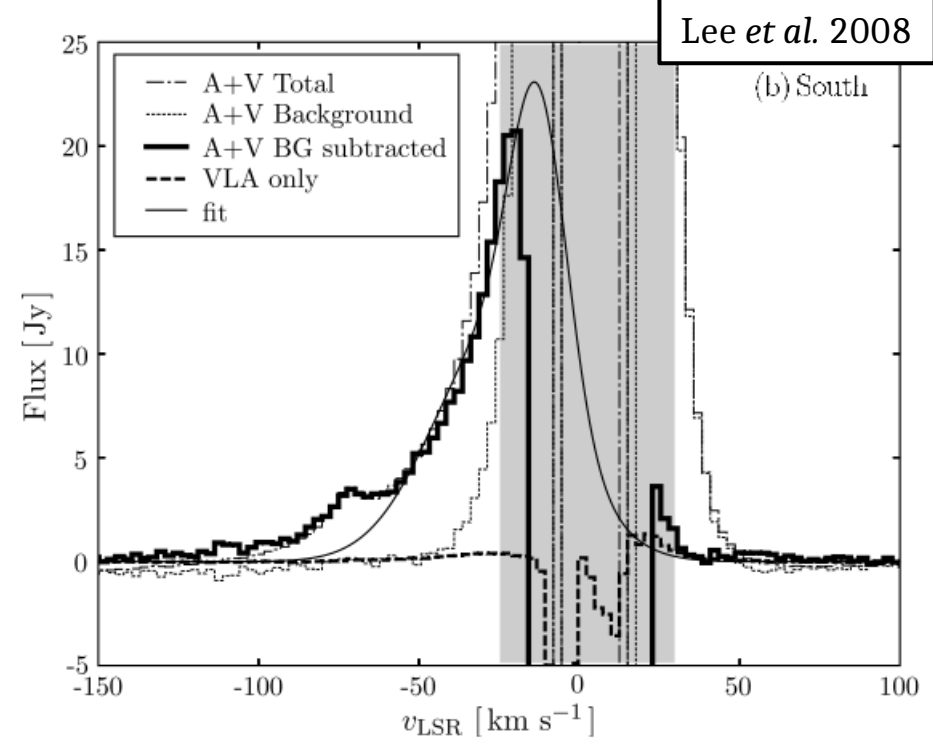
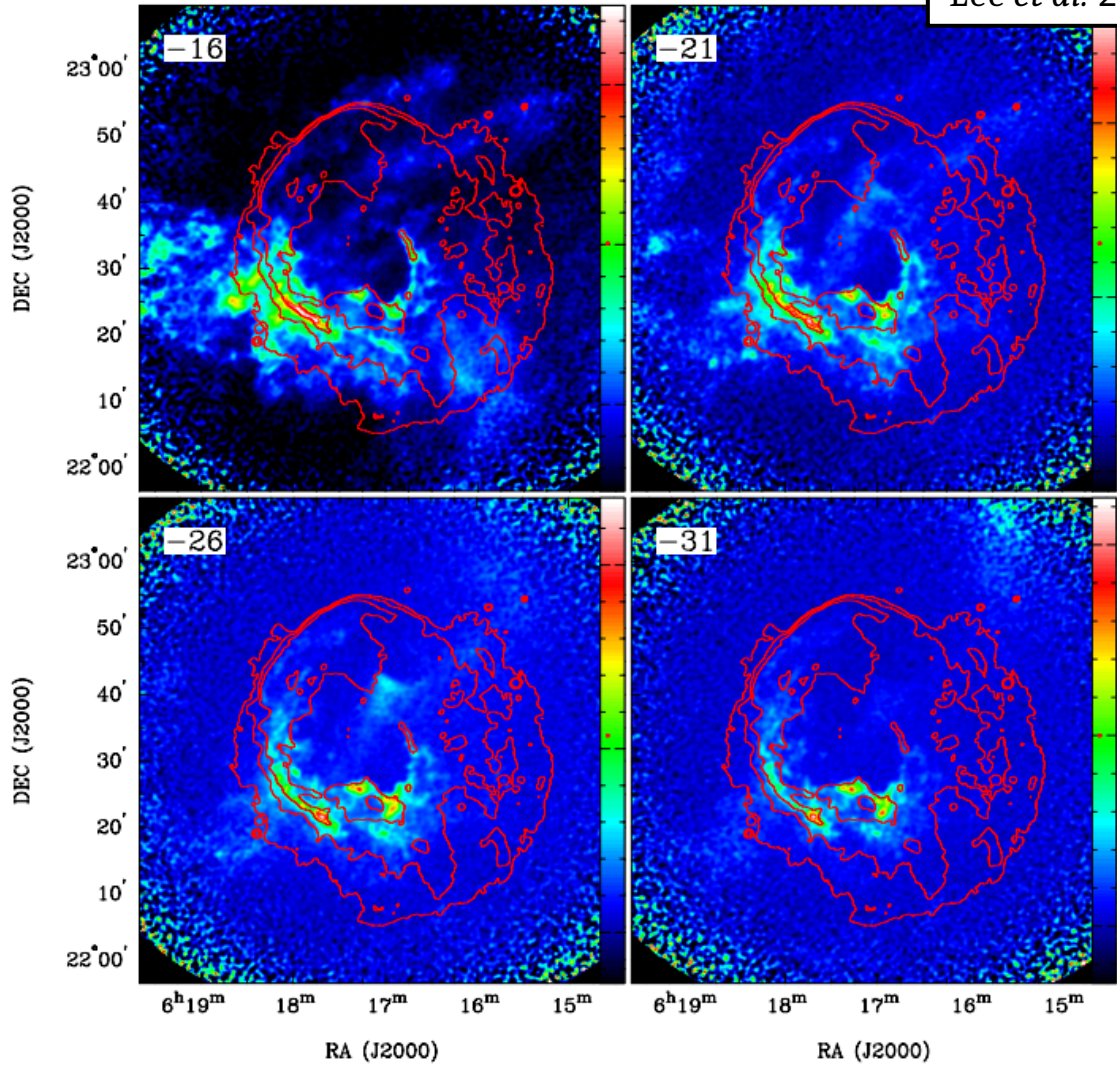
Arecibo,
WSRT,
GMRT,
FAST

VLA



Galliano et al. 2018

Lee et al. 2008



Lee et al. 2008

$$M_{HI} = \frac{16\pi m_H}{3A_{ul}hc} D_L^2 \int F_\nu dv$$

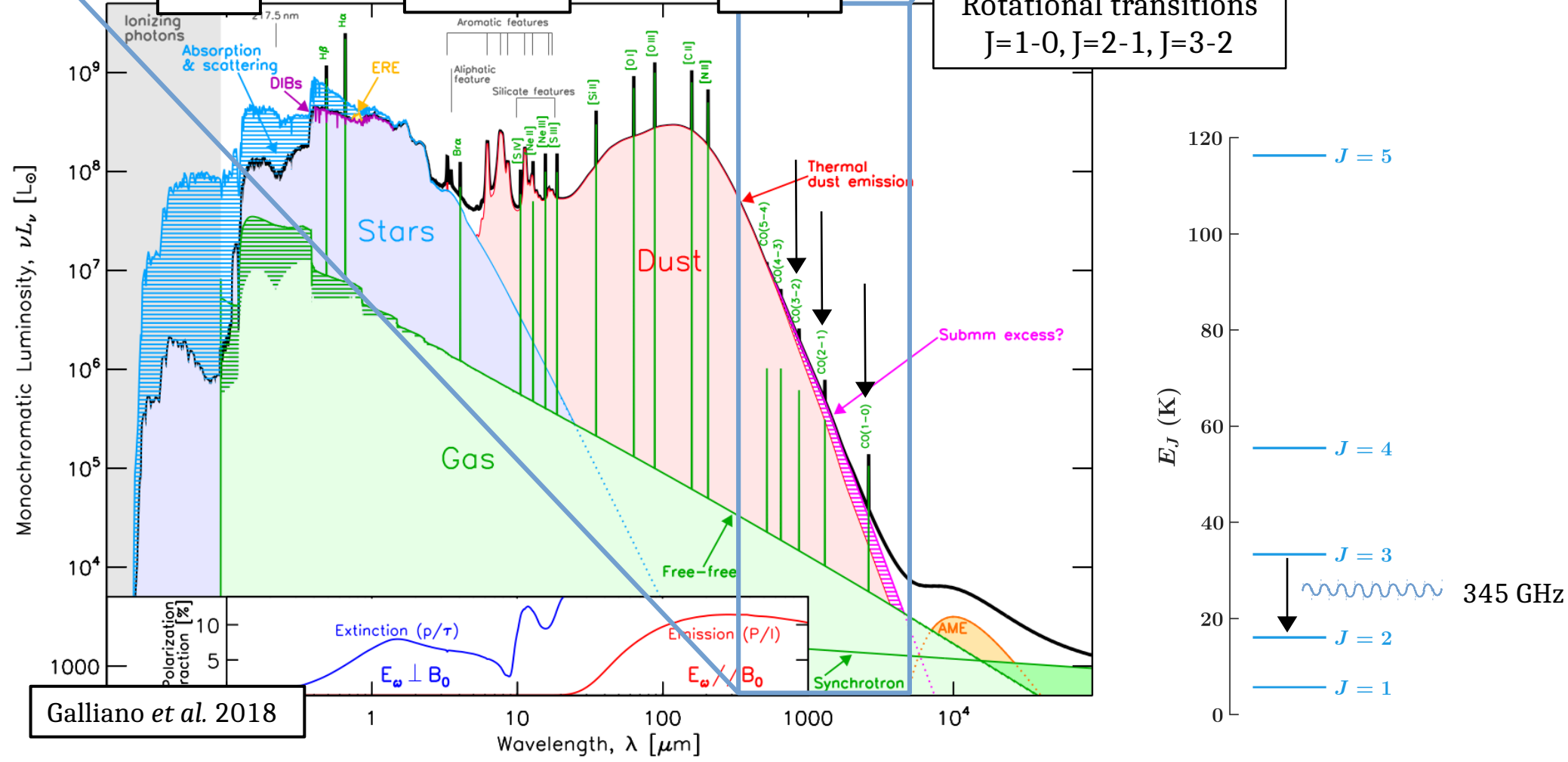


APEX

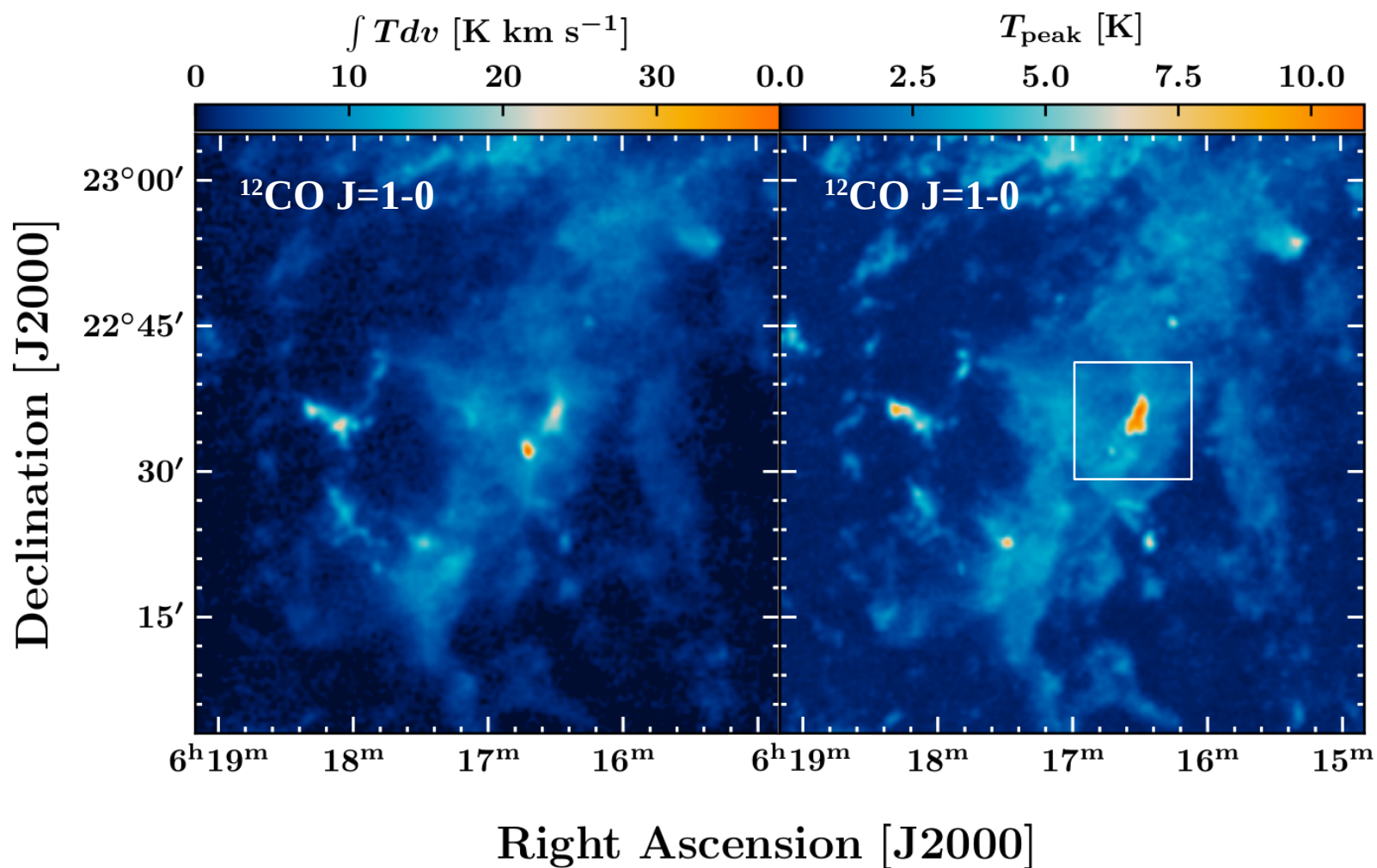
IRAM-30m

FCRAO

$^{12}\text{CO}, ^{13}\text{CO}, \text{C}^{18}\text{O}$
 Rotational transitions
 $J=1-0, J=2-1, J=3-2$



Brightness temperature maps

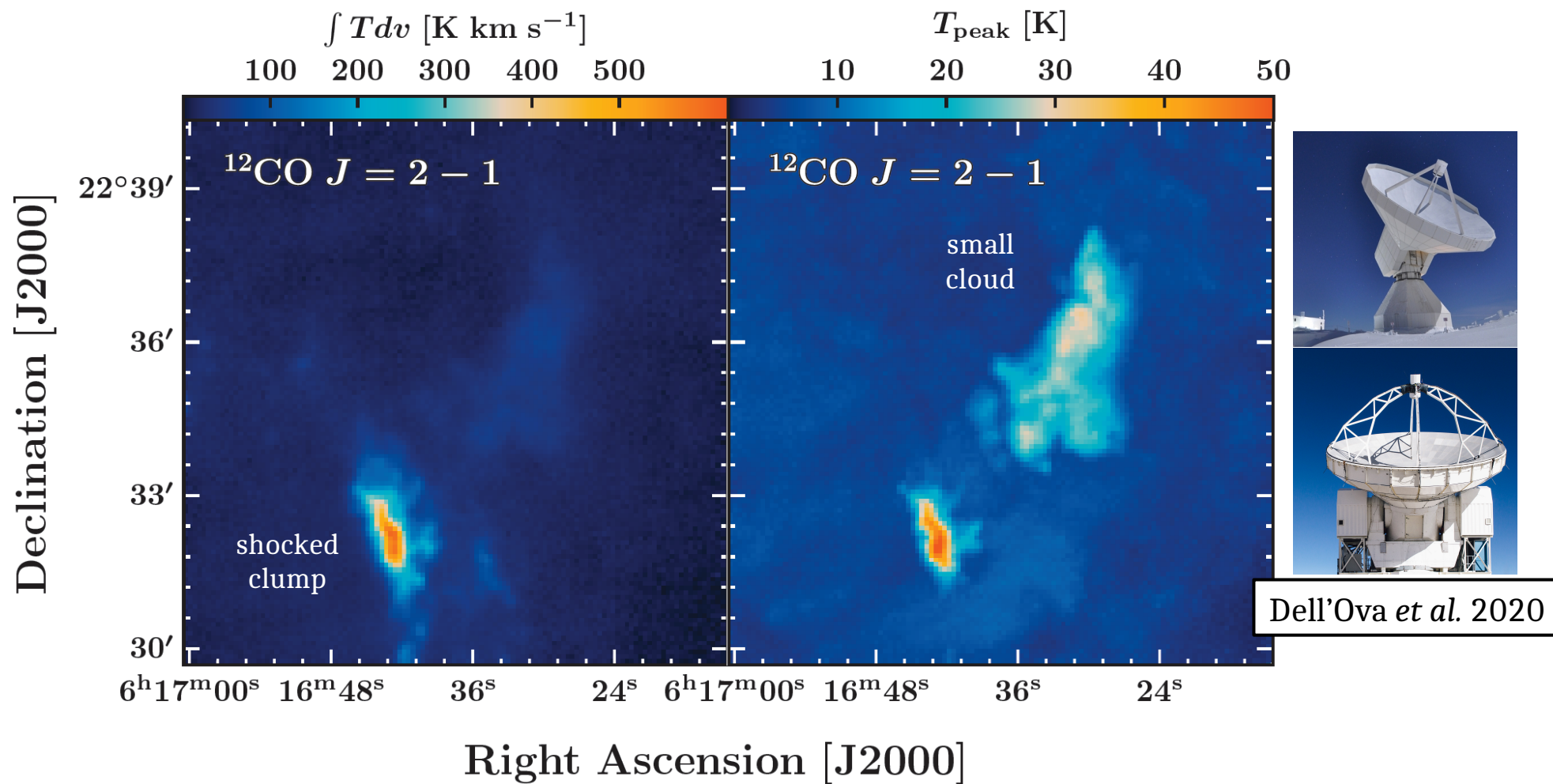


FCRAO

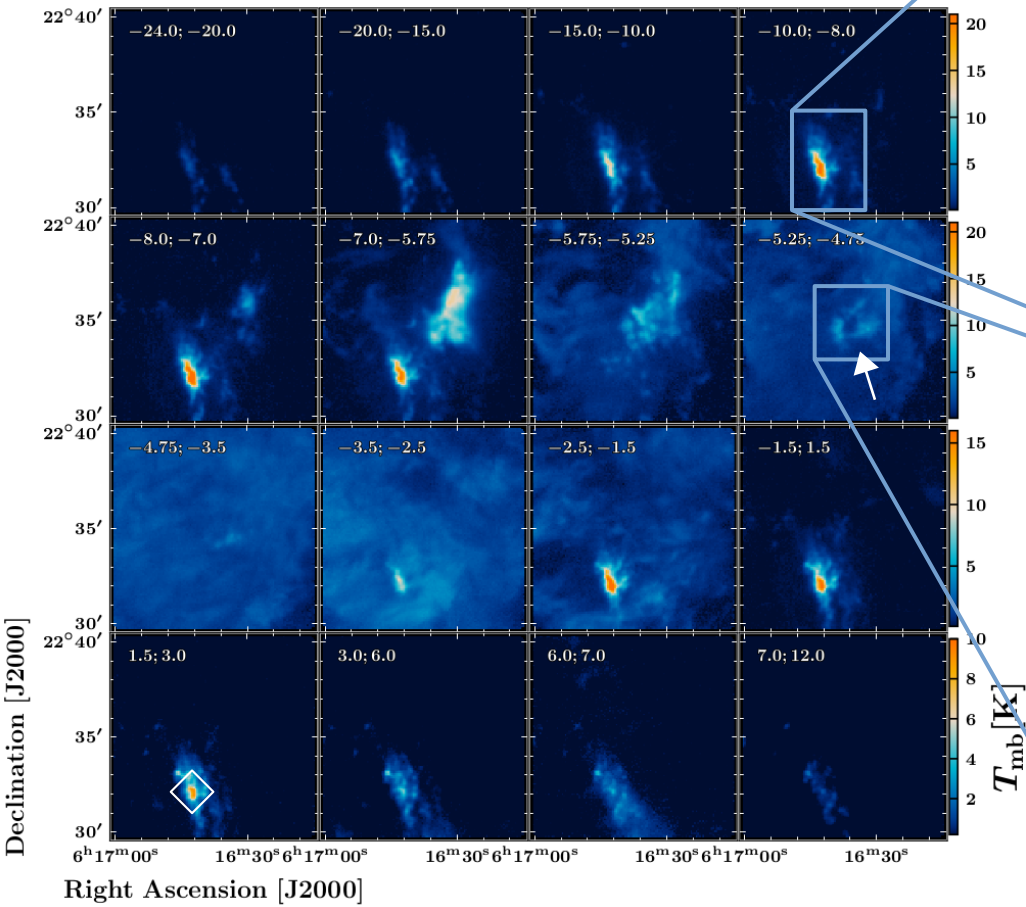
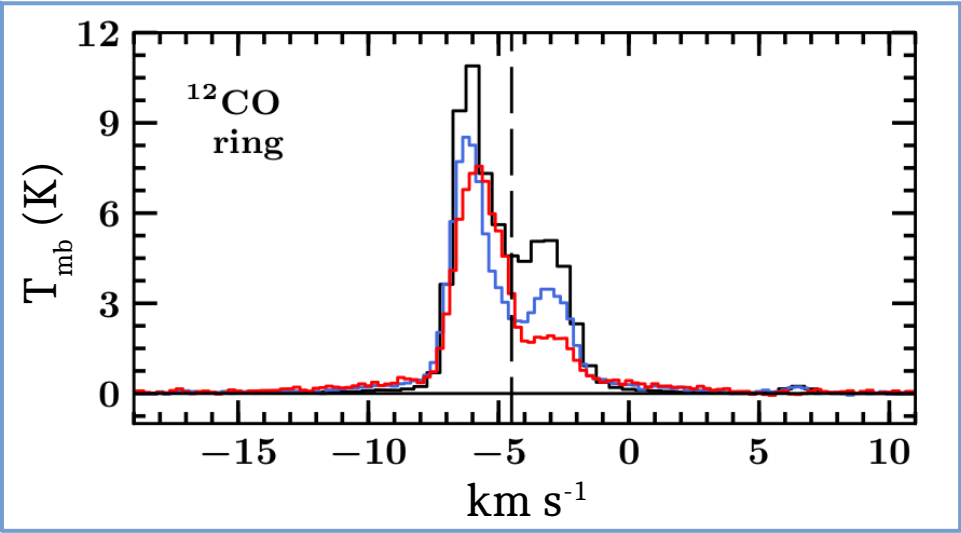
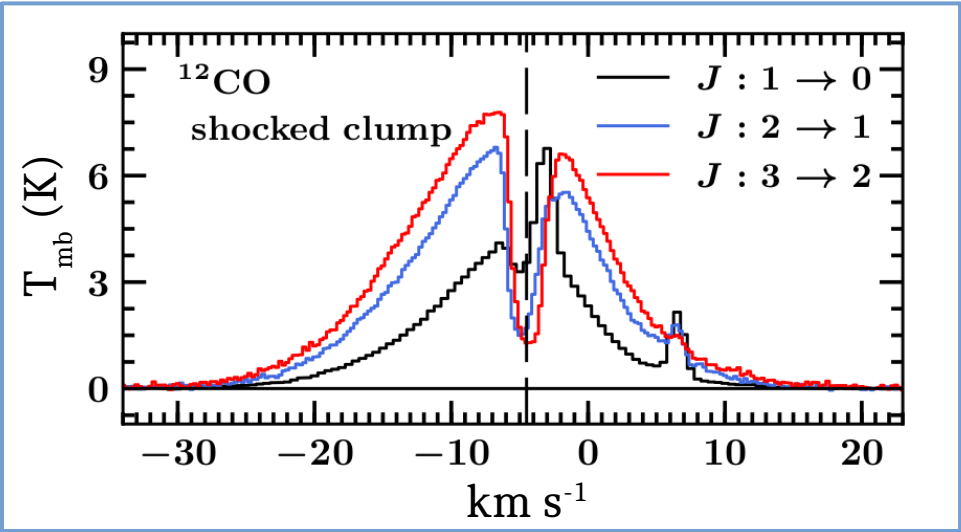


Lee et al. 2012

Brightness temperature maps



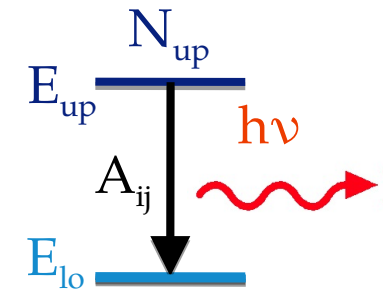
^{12}CO spectra



■ $\sum I_\nu \cdot \Delta\nu$ is in erg/s/cm²/sr

■ $\sum I_\nu \cdot \Delta\nu = \left(\frac{1}{4\pi}\right) h \nu_{ij} A_{ij} N_{up}$

■ $\frac{2 k_B \nu_{ij}^3}{c^3} \sum T_{mb} \cdot \Delta\nu = \left(\frac{1}{4\pi}\right) h \nu_{ij} A_{ij} N_{up}$

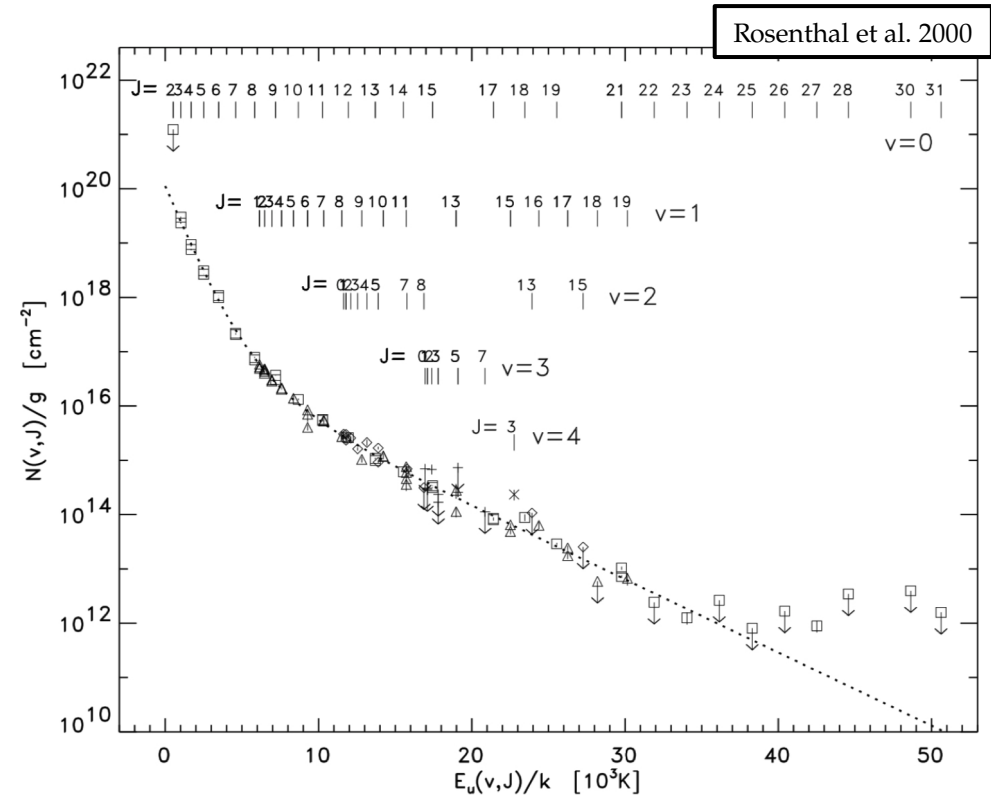
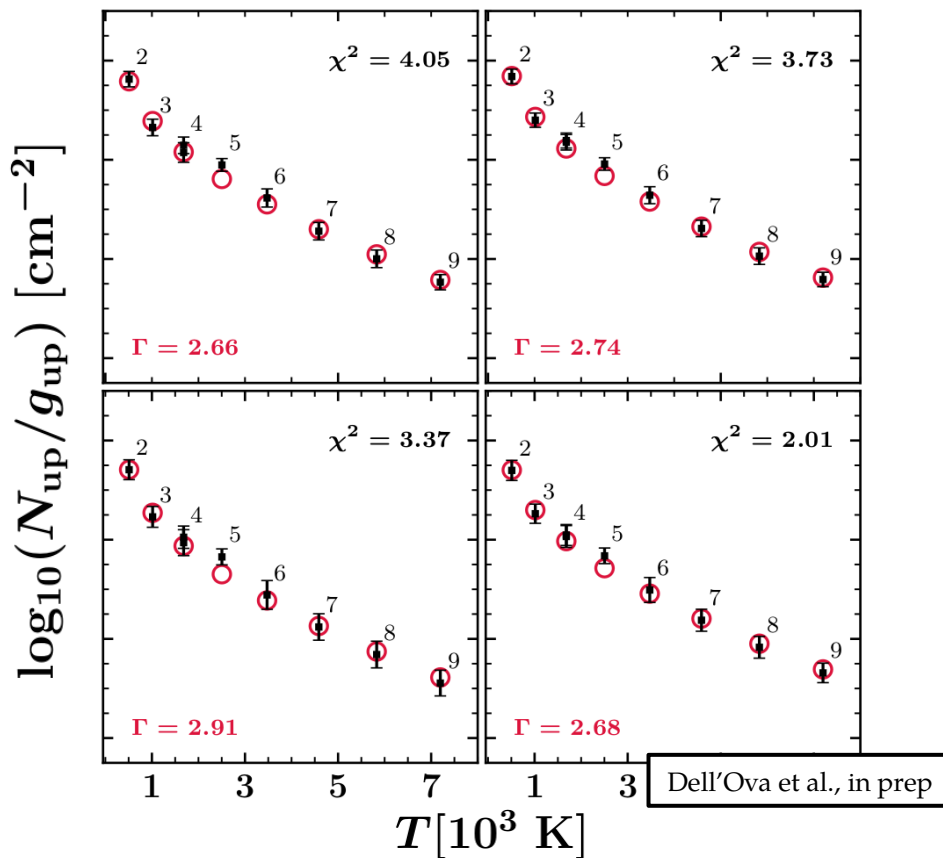


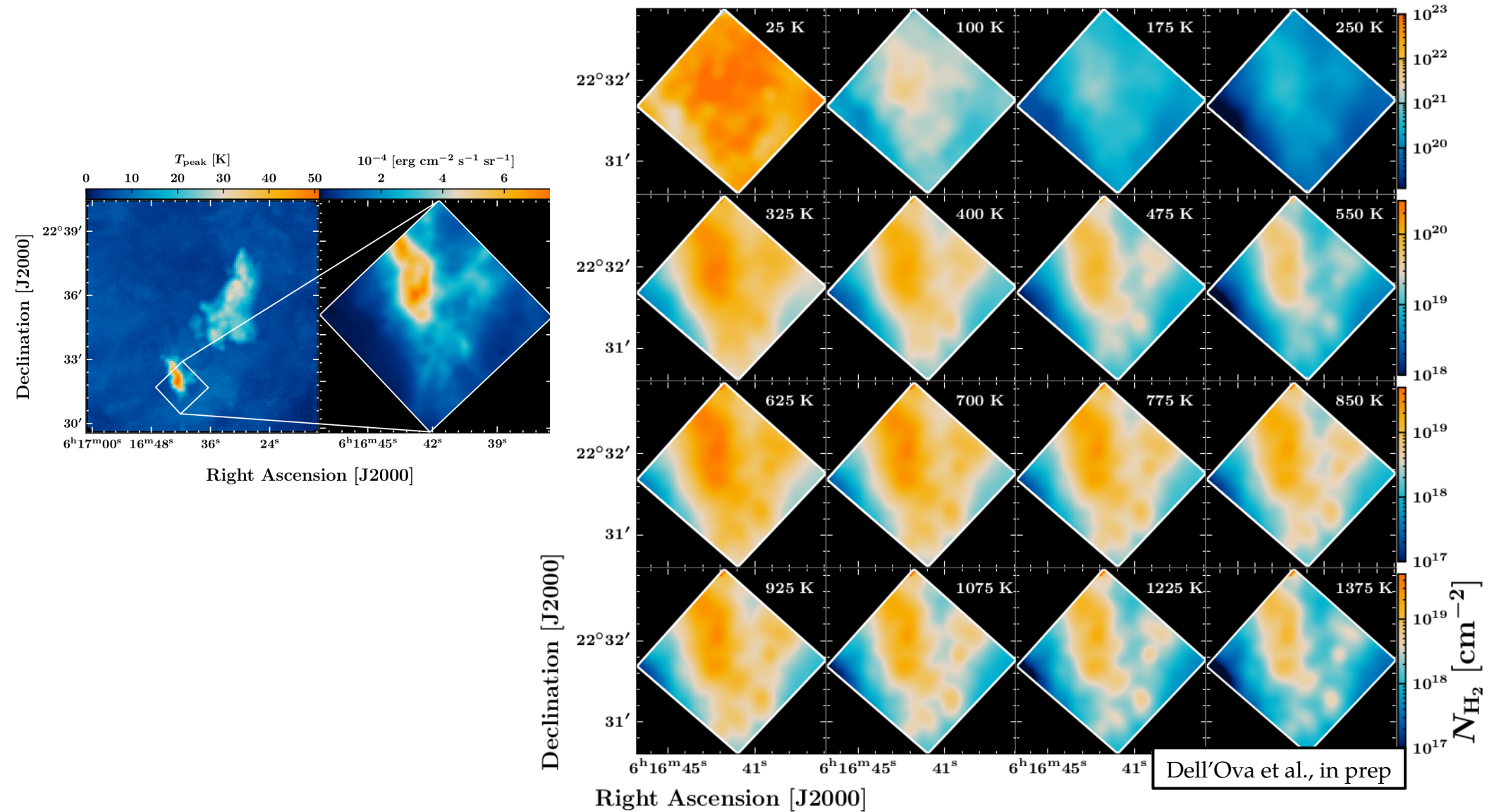
- Solid angle normalization (sr⁻¹)
- Energy of one photon from the transition (erg)
- Probability of the transition (s⁻¹)
- Column density of the molecules in the upper state (cm⁻²)

■ Relation between N_i and N_{tot} : $\frac{N_i}{g_i} = N_{\text{tot}} \cdot \frac{\exp(-\frac{E_i}{k_B T_{\text{ex}}})}{Q(T_{\text{ex}})}$

■ Excitation diagram represents $\{\ln(\frac{N_i}{g_i})\}$ vs. $\{\frac{E_i}{k_B}\}$:

$$\ln\left(\frac{N_i}{g_i}\right) = [\ln(N_{\text{tot}}) - \ln(Q(T_{\text{ex}}))] - \frac{E_i}{k_B T_{\text{ex}}}$$



H₂ temperature tomography

Van der Tak *et al.* 2007

Second method : use RADEX.

(statistical equilibrium radiative transfer with the Large Velocity Gradient approximation)

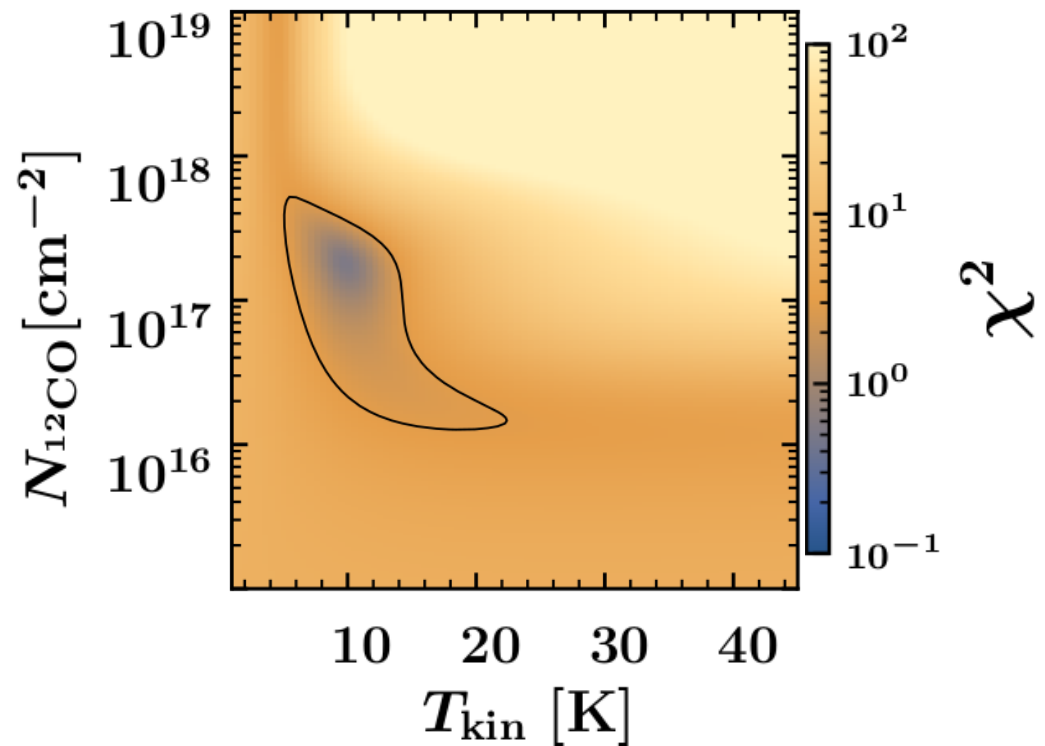
$$\frac{dn_i}{dt} = \sum_{i \neq j} n_j \Gamma_{ji} - n_i \sum_{i \neq j} \Gamma_{ij}$$

$$\Gamma_{ij} = \begin{cases} A_{ij} + B_{ij} \bar{J}_\nu + C_{ij} & (i > j) \\ B_{ij} \bar{J}_\nu + C_{ij} & (i < j) \end{cases}$$

RADEX solves this, assuming :

$$(1) \bar{J}_\nu = S_\nu (1 - \beta) \quad (2) \beta = \frac{1 - e^{-\tau}}{\tau}$$

Chi-square minimization (small cloud)



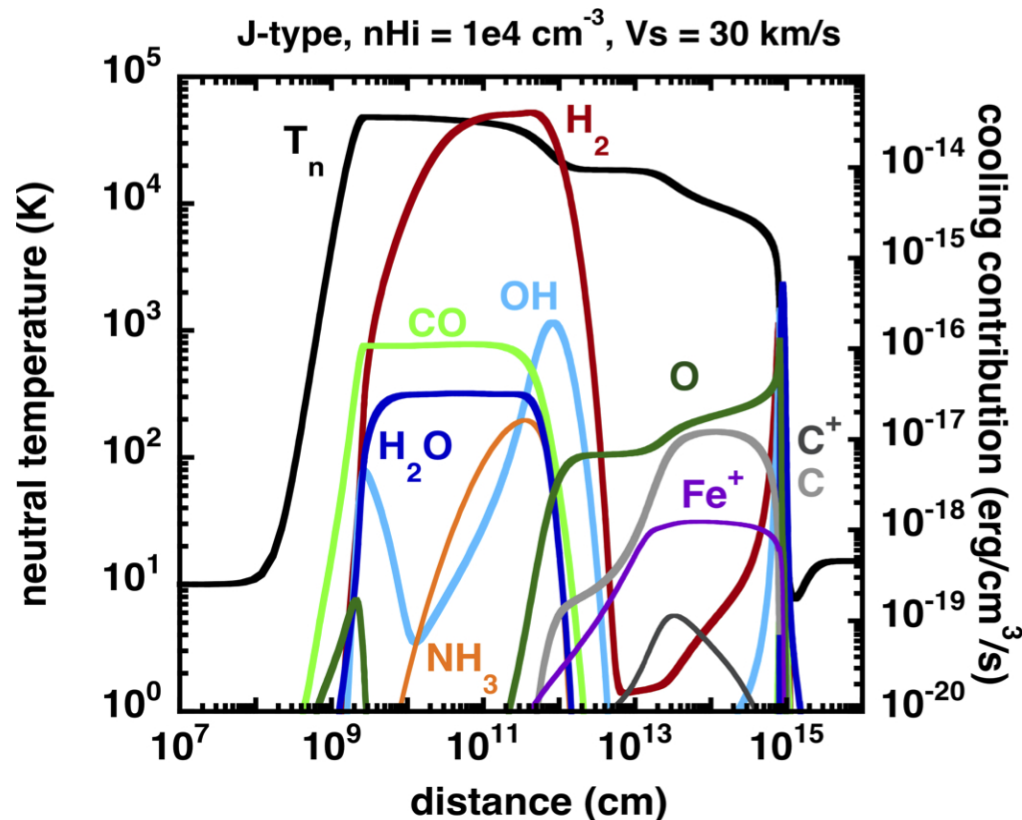
Compare observations with a grid of RADEX models

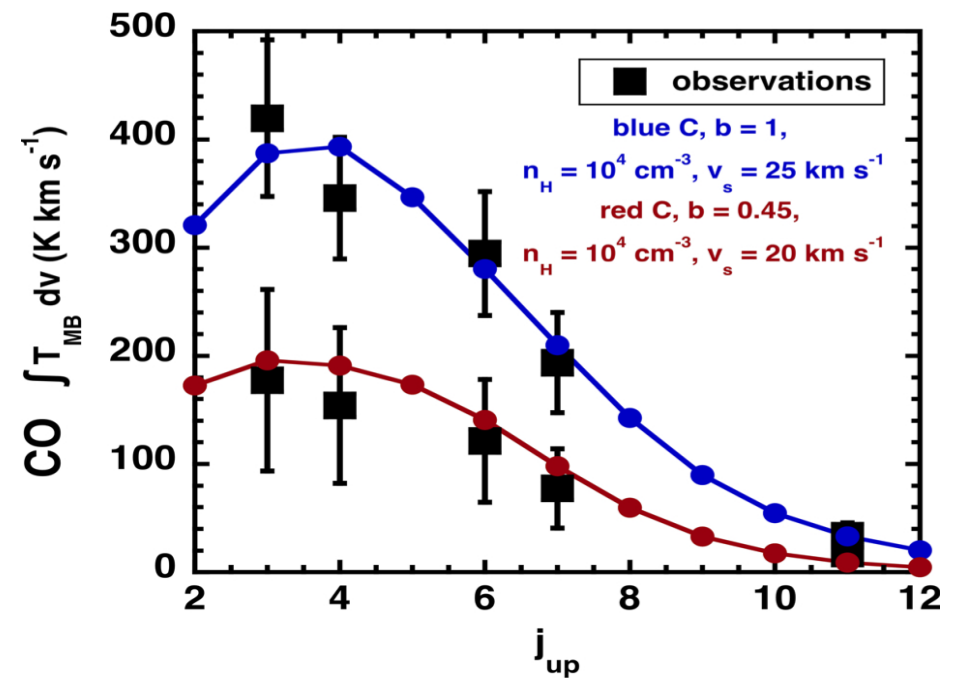
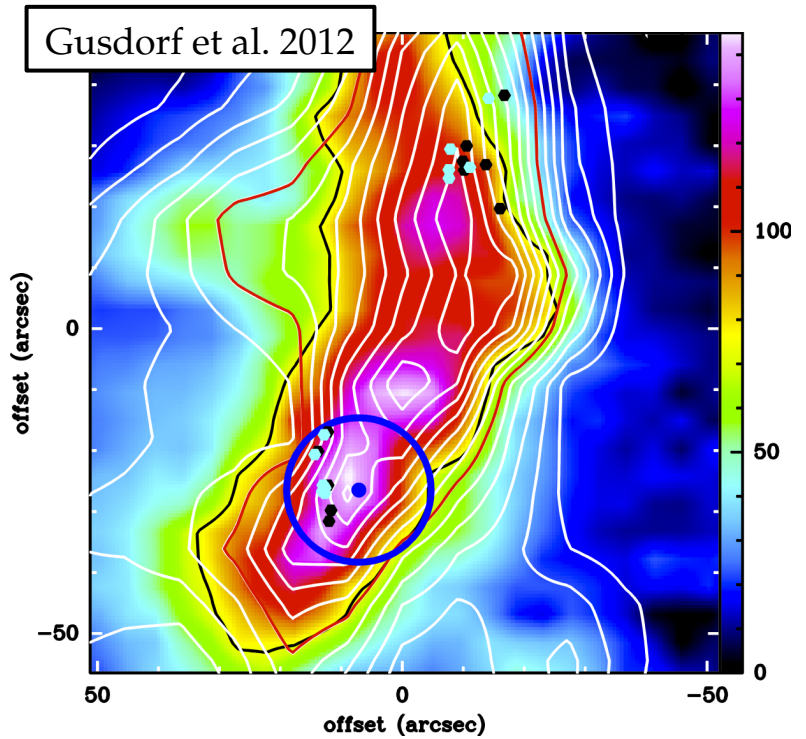
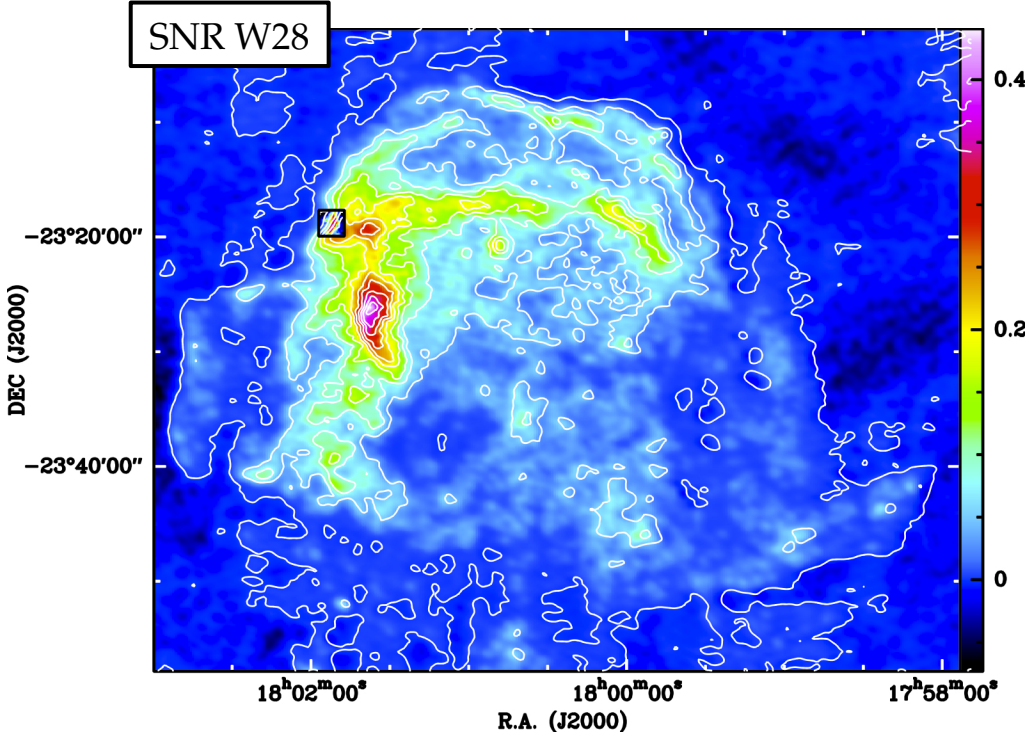
Dell'Ova *et al.* 2020

The Paris-Durham molecular shock model

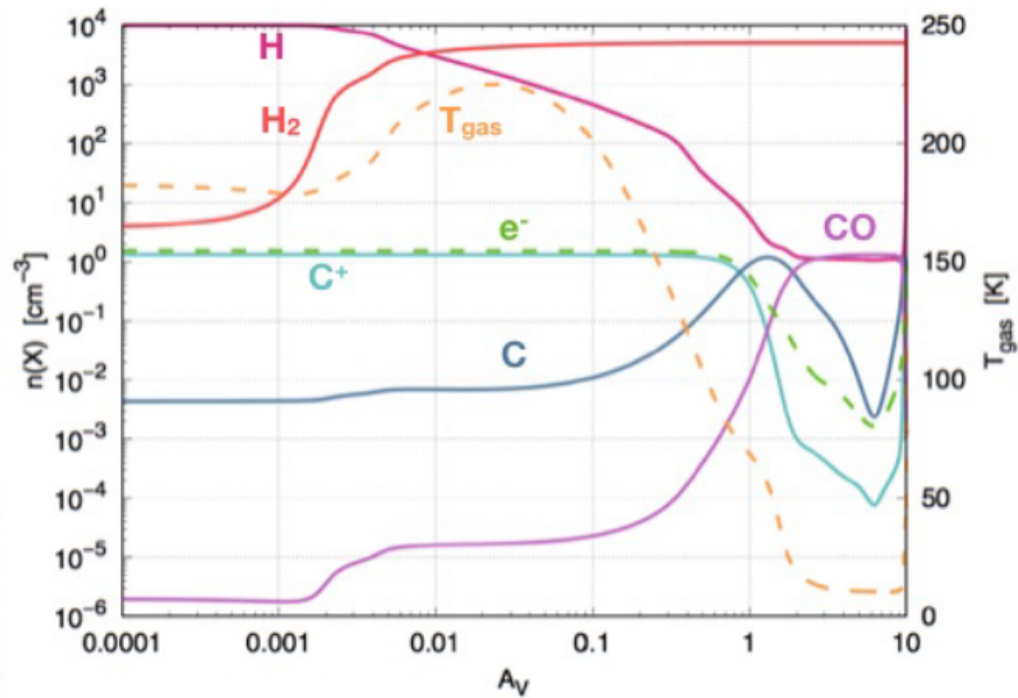
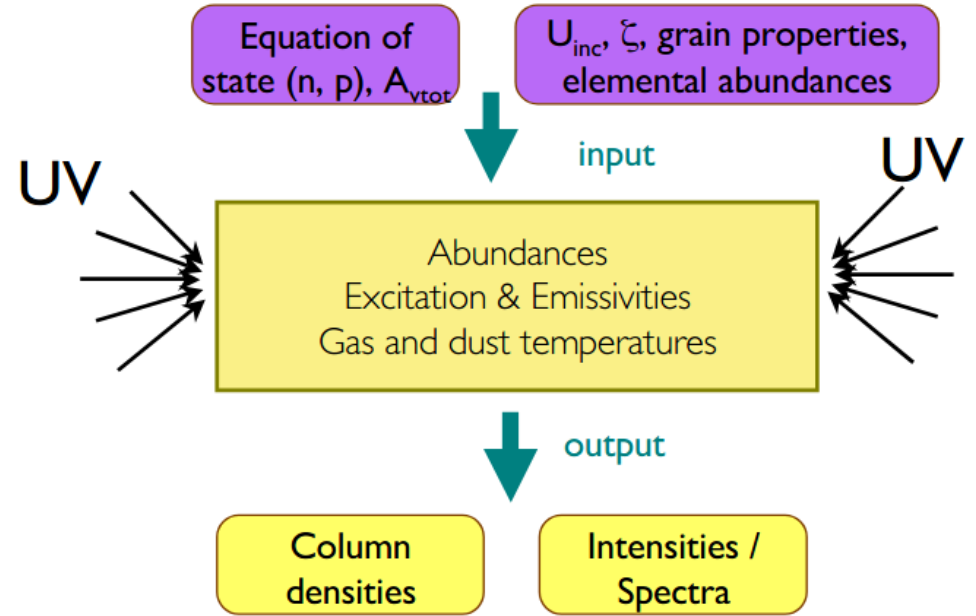
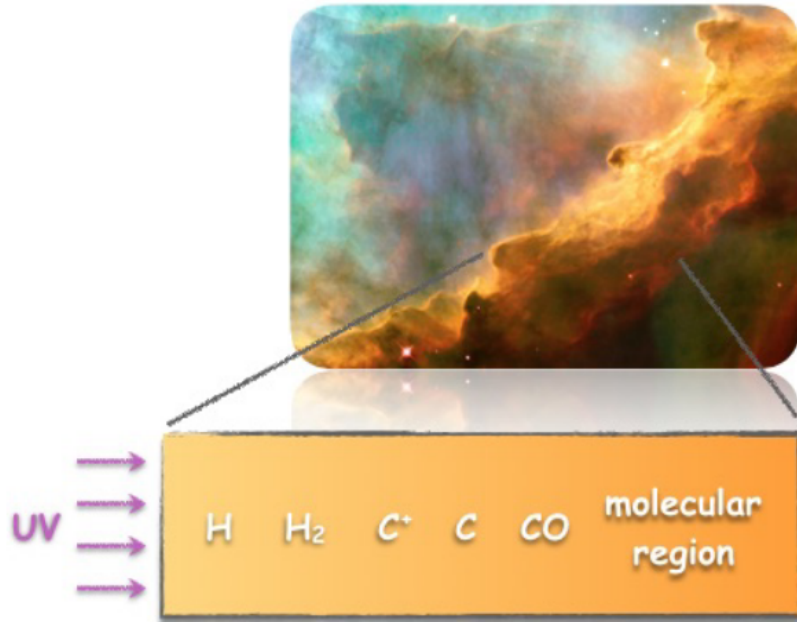
Developed continuously since 30 yrs *Flower, D. R., Pineau des Forets, G., & Hartquist, T. W. , 1985, MNRAS, 216, 775 + 40 papers thereafter*

- multi-fluid MHD shock (C, J, C+J)
- Steady, plane-parallel (1D)
- Chemistry: 136 species (in gas, ices, grain cores), about 1000 reactions

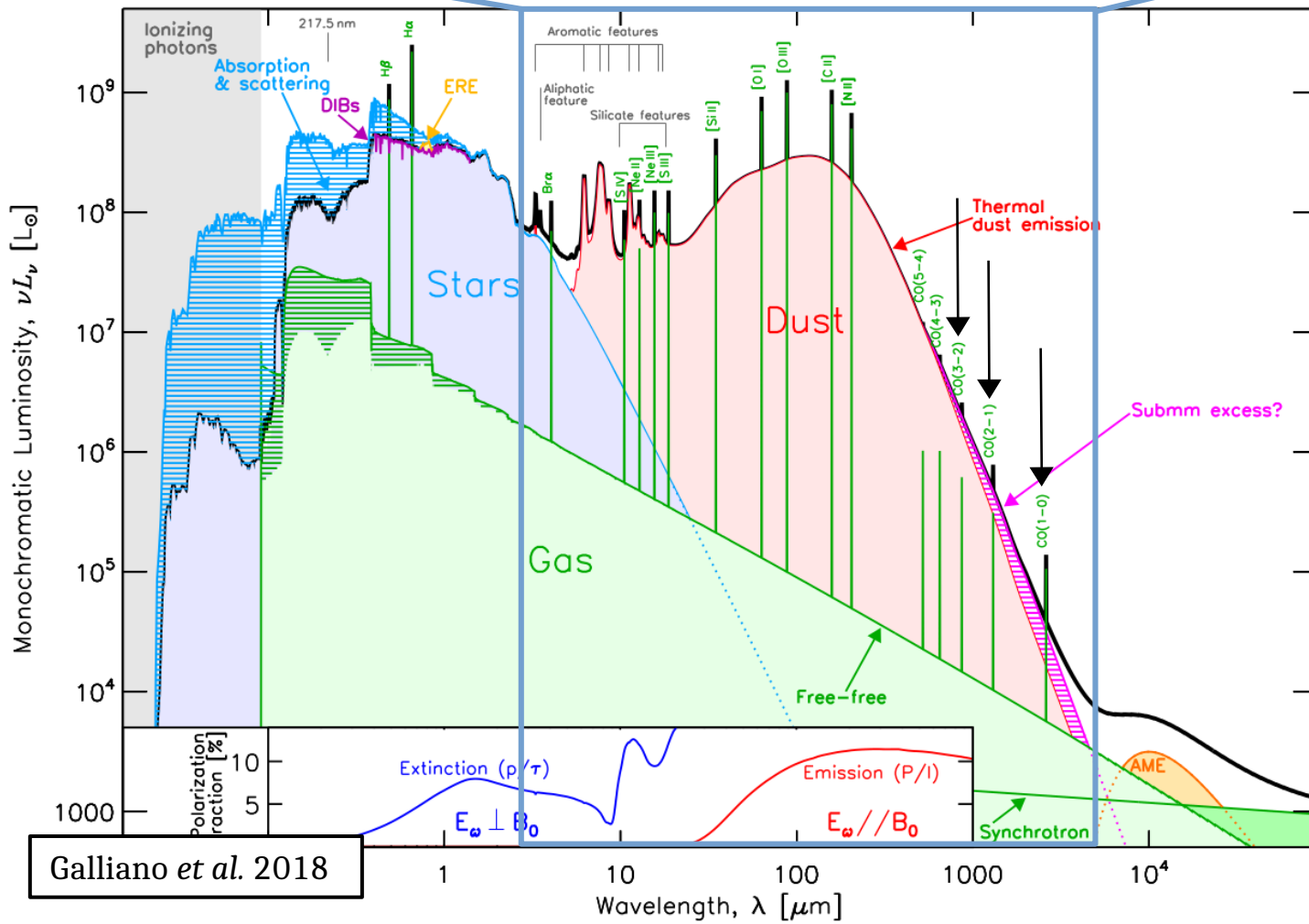
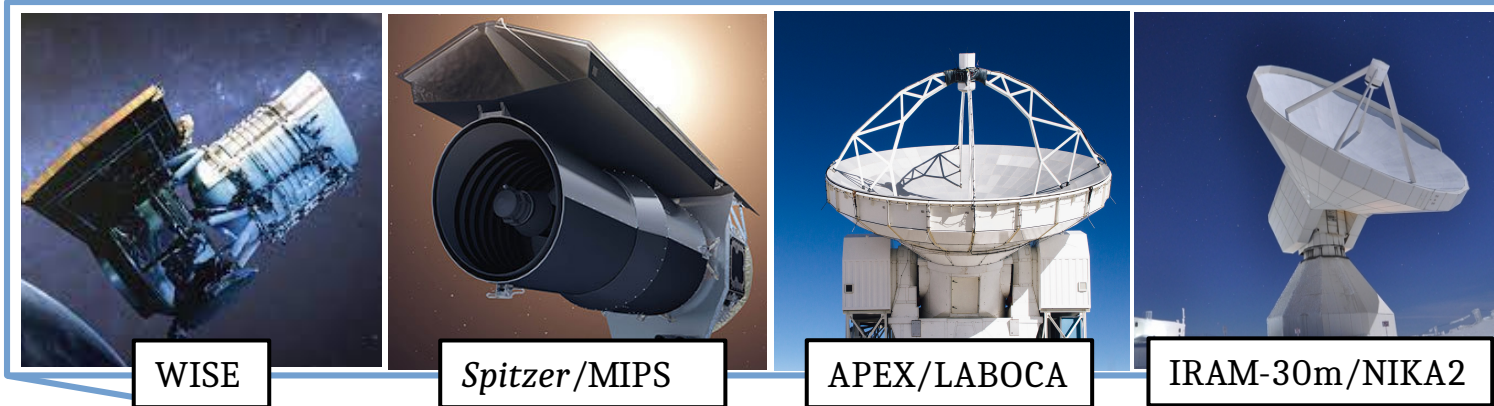




APEX, SOFIA observations

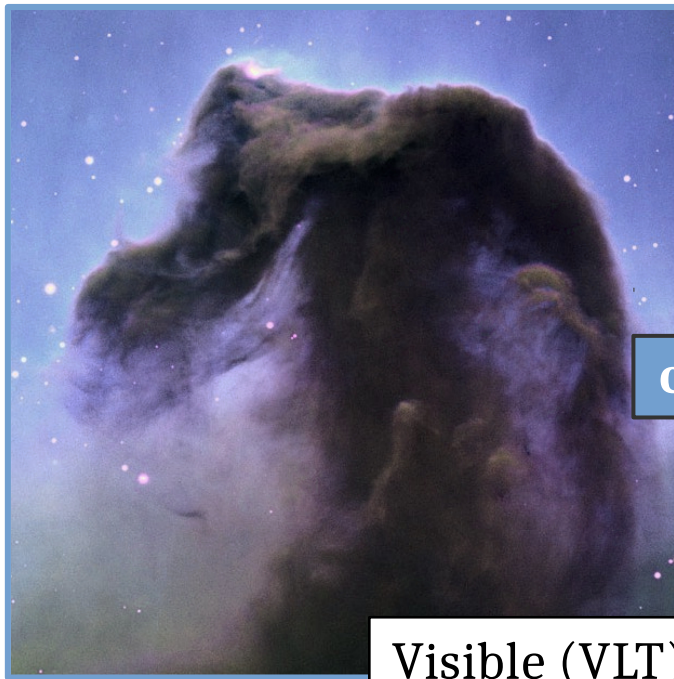


**Dust phase
continuum observations**



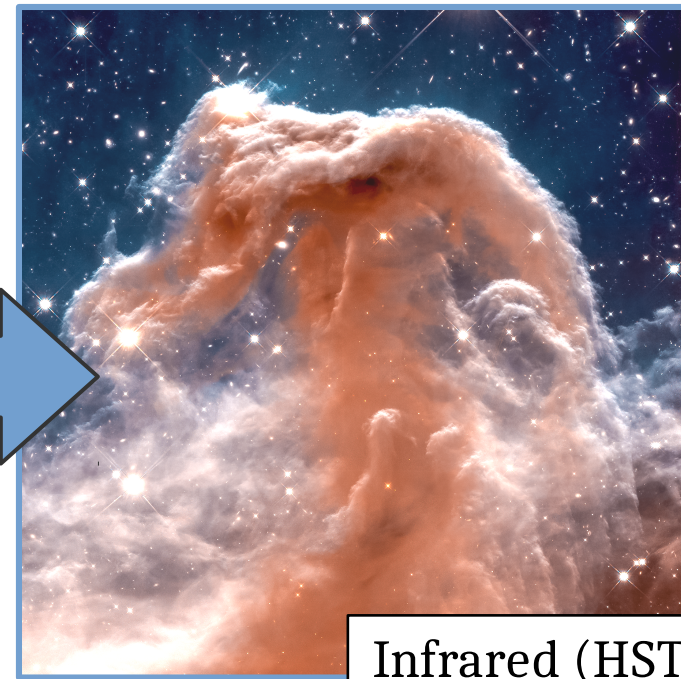
Galliano et al. 2018

Dust grains are heated by starlight, and cool by radiating in the infrared.



Visible (VLT)

$$\left(\frac{dE}{dt}\right)_{\text{abs.}} = 4\pi a^2 \langle Q_{\text{abs}} \rangle u_{\star} c$$

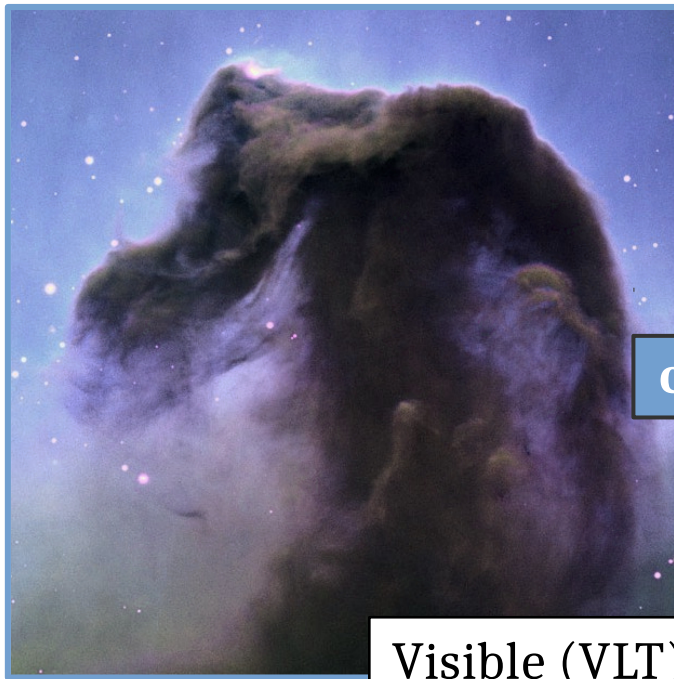


Infrared (HST)

$$\left(\frac{dE}{dt}\right)_{\text{emiss.}} = 4\pi a^2 \langle Q_{\text{abs}} \rangle \int B_{\nu}(T_{\text{d}}) d\nu$$

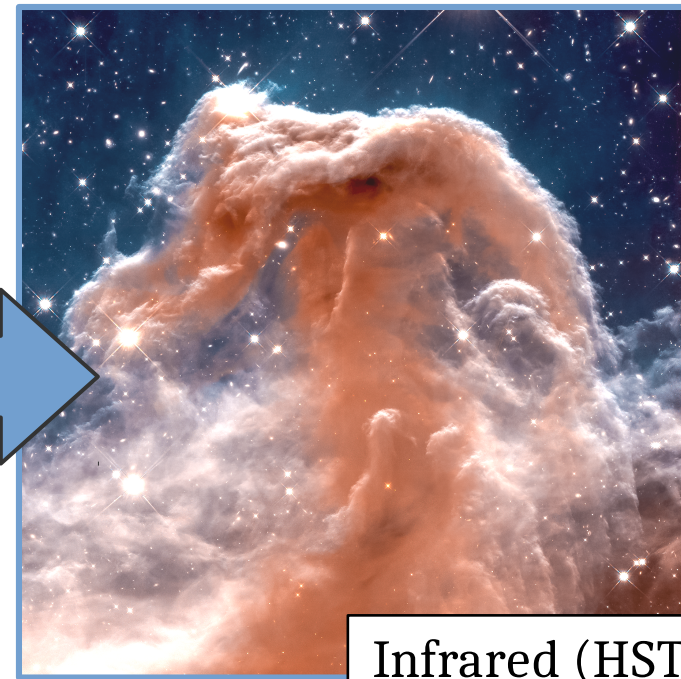
cooling

Dust grains are heated by starlight, and cool by radiating in the infrared.



Visible (VLT)

$$\left(\frac{dE}{dt}\right)_{\text{abs.}} = 4\pi a^2 \langle Q_{\text{abs}} \rangle u_{\star} c$$



Infrared (HST)

$$\left(\frac{dE}{dt}\right)_{\text{emiss.}} = 4\pi a^2 \langle Q_{\text{abs}} \rangle \int B_{\nu}(T_d) d\nu$$

Steady state

$$\underbrace{L_{\nu}(\lambda)}_{\text{dust monochromatic luminosity}} = \underbrace{M_{\text{dust}}}_{\text{dust mass}} \times \underbrace{\kappa(\lambda_0) \cdot (\lambda_0/\lambda)^{\beta}}_{\text{parametric opacity}} \times \underbrace{4\pi B_{\nu}(\lambda, T_{\text{dust}})}_{\text{black body}}$$

Modified Black Body (MBB)

The **PPMAP** procedure summarized in one equation (**Marsh et al. 2015**):

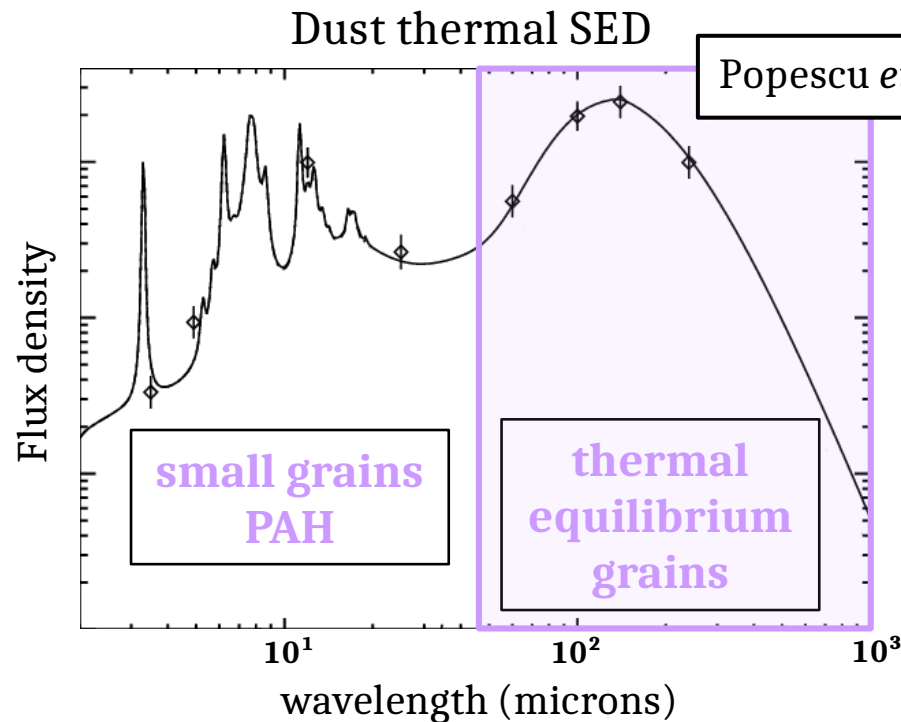
$$I_\lambda = \sum_{k=1}^N \sum_{l=1}^M \left\{ \left(\frac{N(T_{d,k}, \beta_l)}{2.1 \times 10^{24} \text{ cm}^{-2}} \right) \left(\frac{\lambda}{300 \text{ } \mu\text{m}} \right)^{-\beta_l} B_\lambda(T_{d,k}) \right\}$$

Column density (dust + gas) \downarrow
 Opacity index \downarrow
 Dust optical depth \downarrow
 Modified Blackbody (MBB) \downarrow
 Sum on temperatures \swarrow
 Sum on opacity indices \swarrow

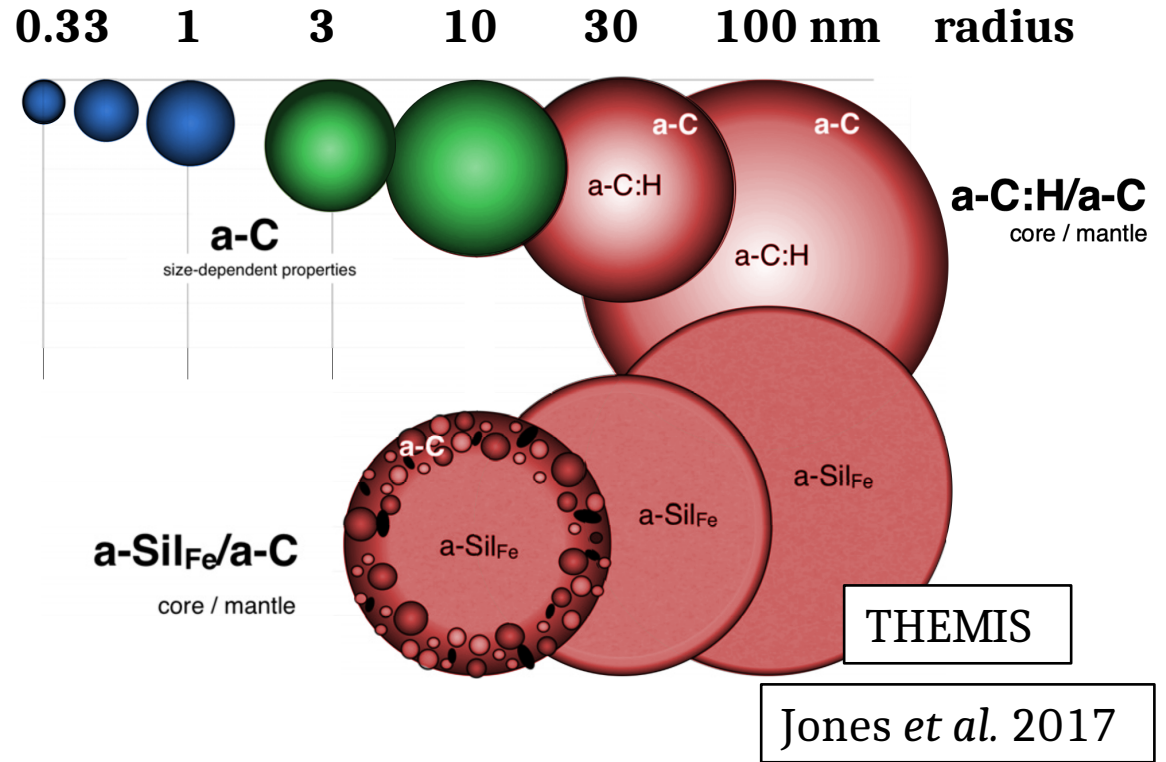
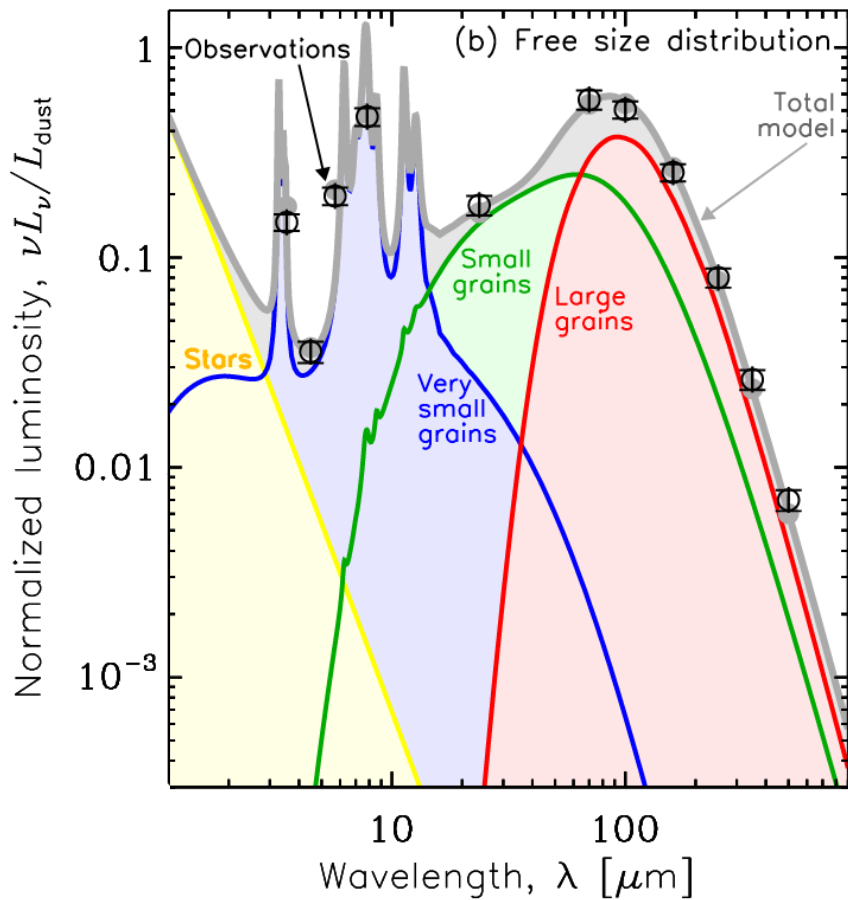
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Column density (dust + gas) Opacity index
 Dust optical depth Modified Blackbody (MBB)
 Sum on temperatures Sum on opacity indices

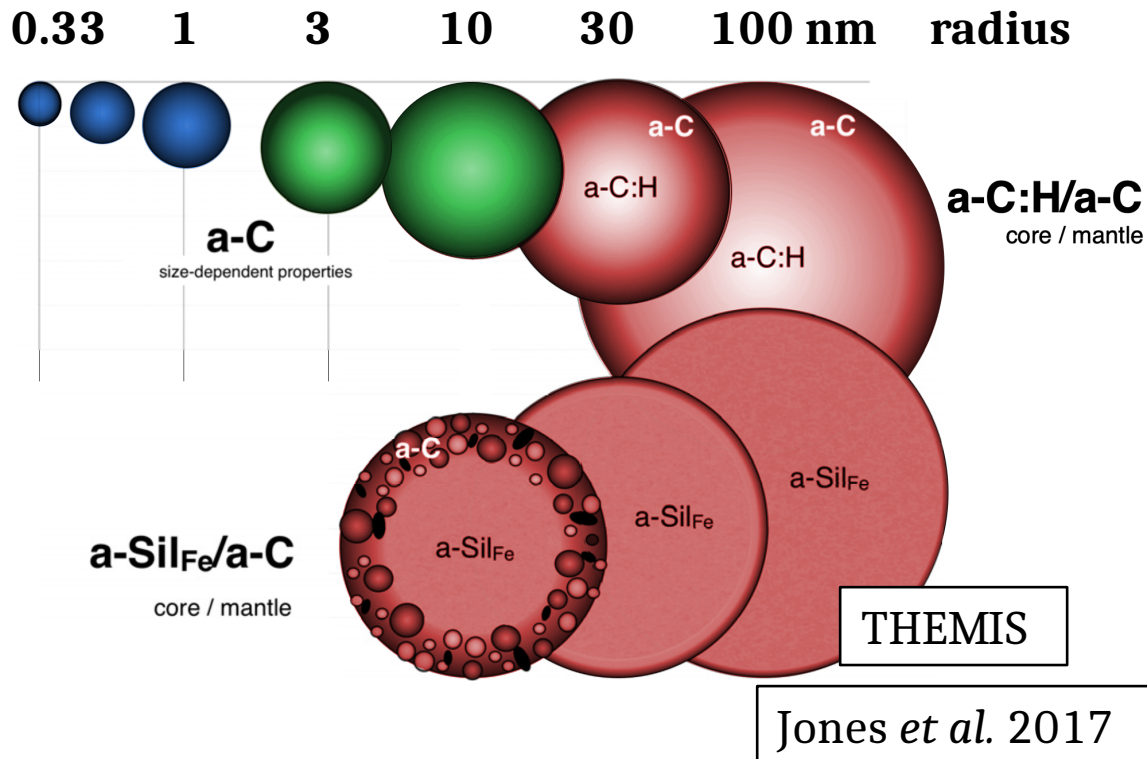
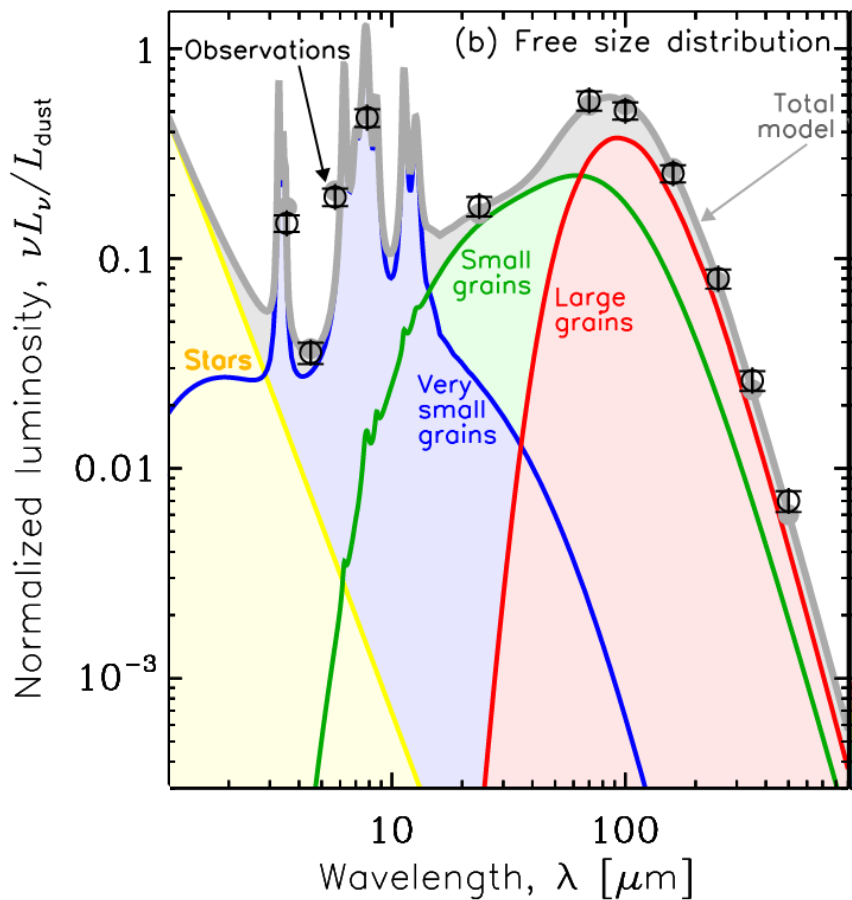


- Fair approximation for **thermal equilibrium grains**
- Not for **very small grains** and **polycyclic aromatic hydrocarbons features (PAH)**



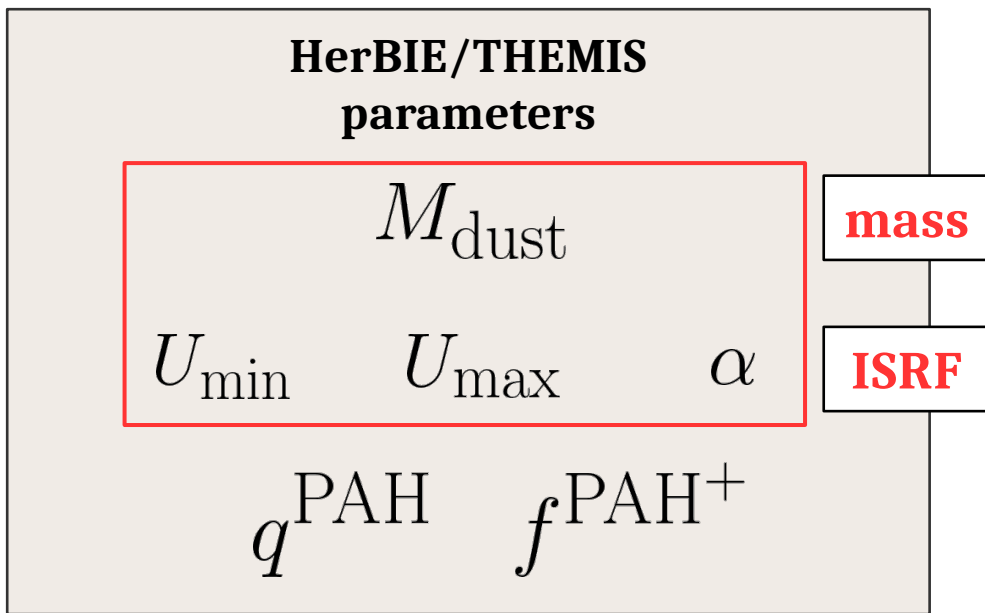
« HiERarchical Bayesian Inference for dust Emission »

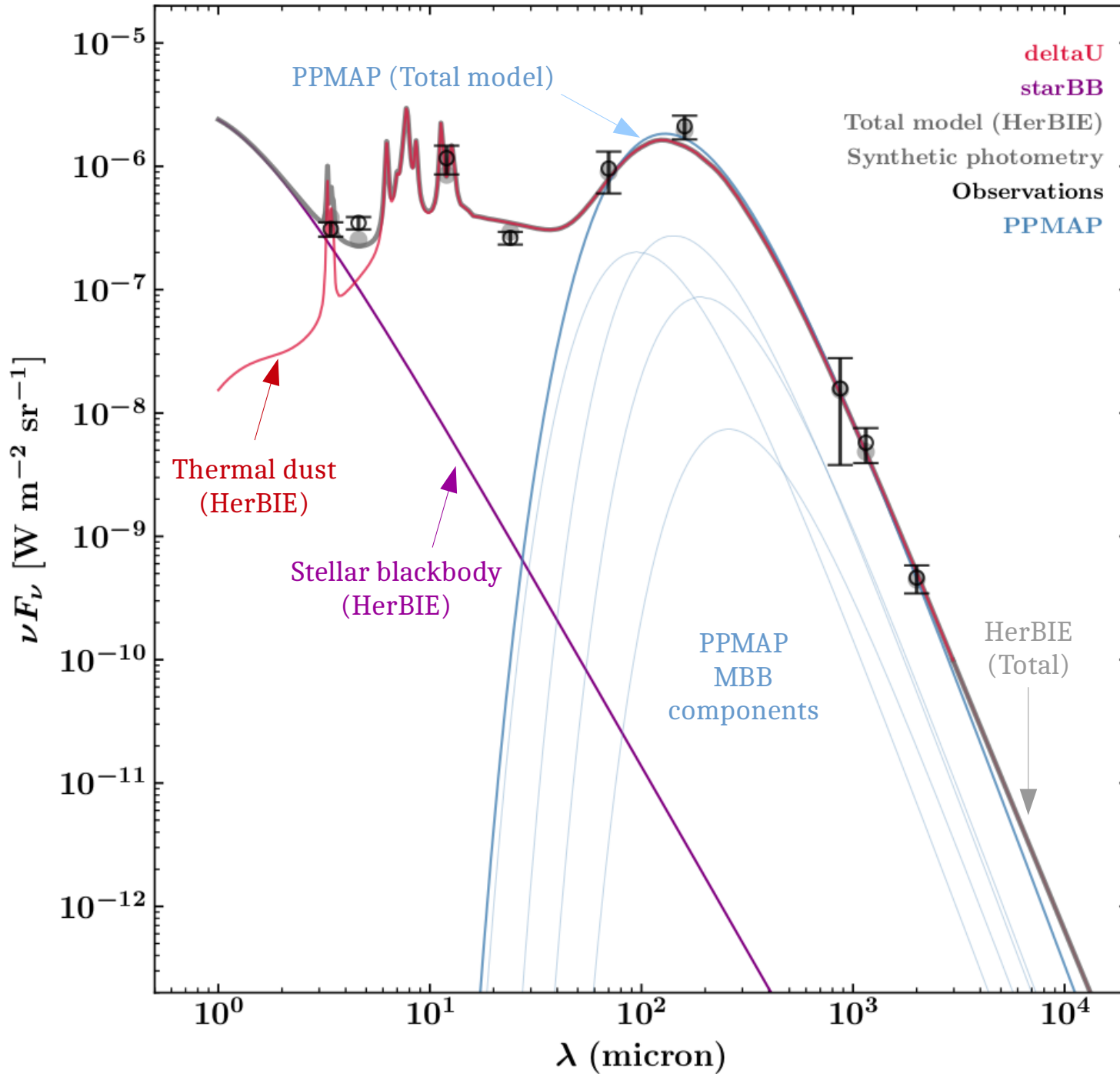
Galliano et al. 2018



« HiERarchical Bayesian Inference for dust Emission »

Galliano et al. 2018





HerBIE :

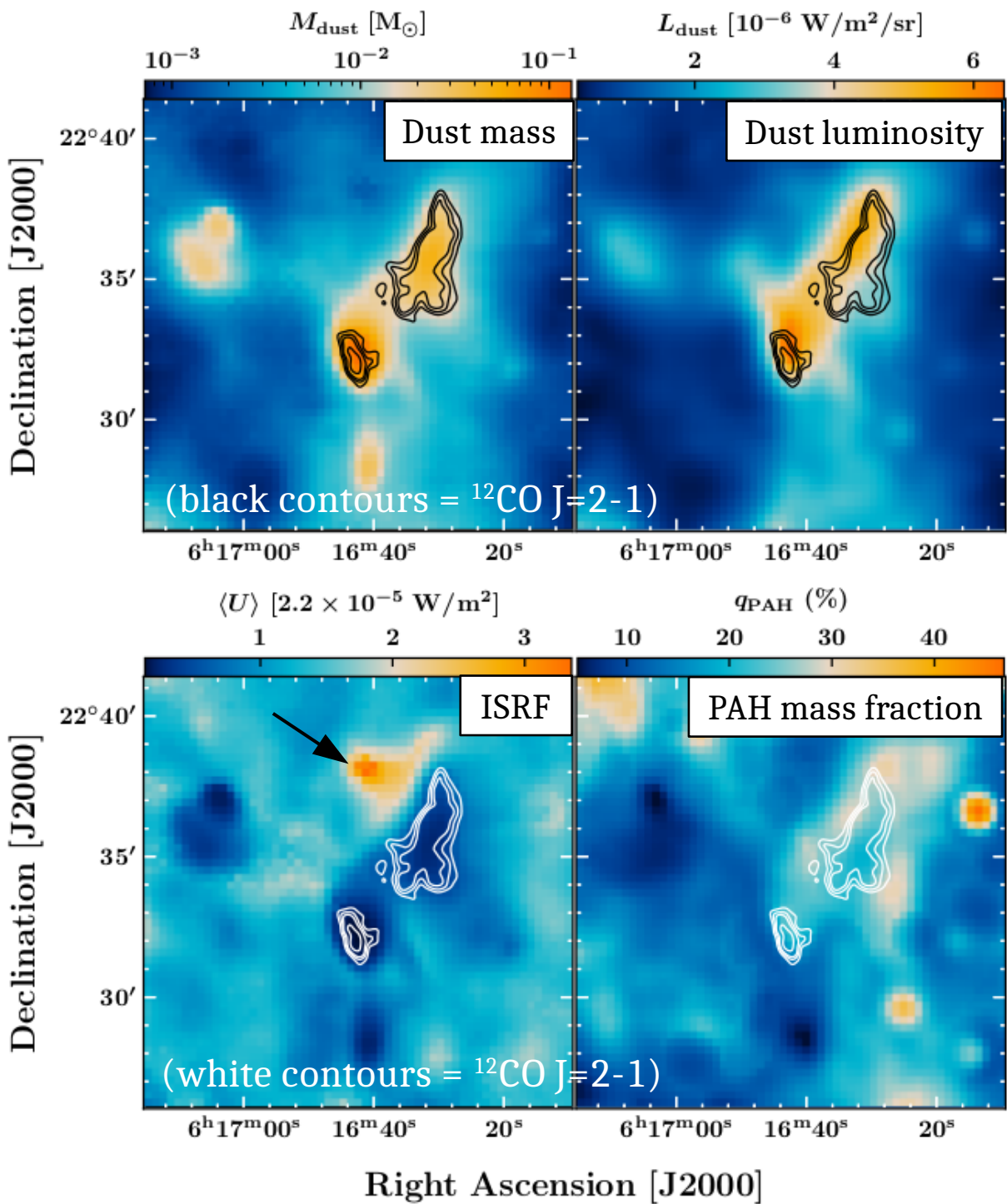
$\chi^2 = 1.2$

PPMAP :

$\chi^2 = 1.5$

Opacity index :

$\beta \sim 1.8$



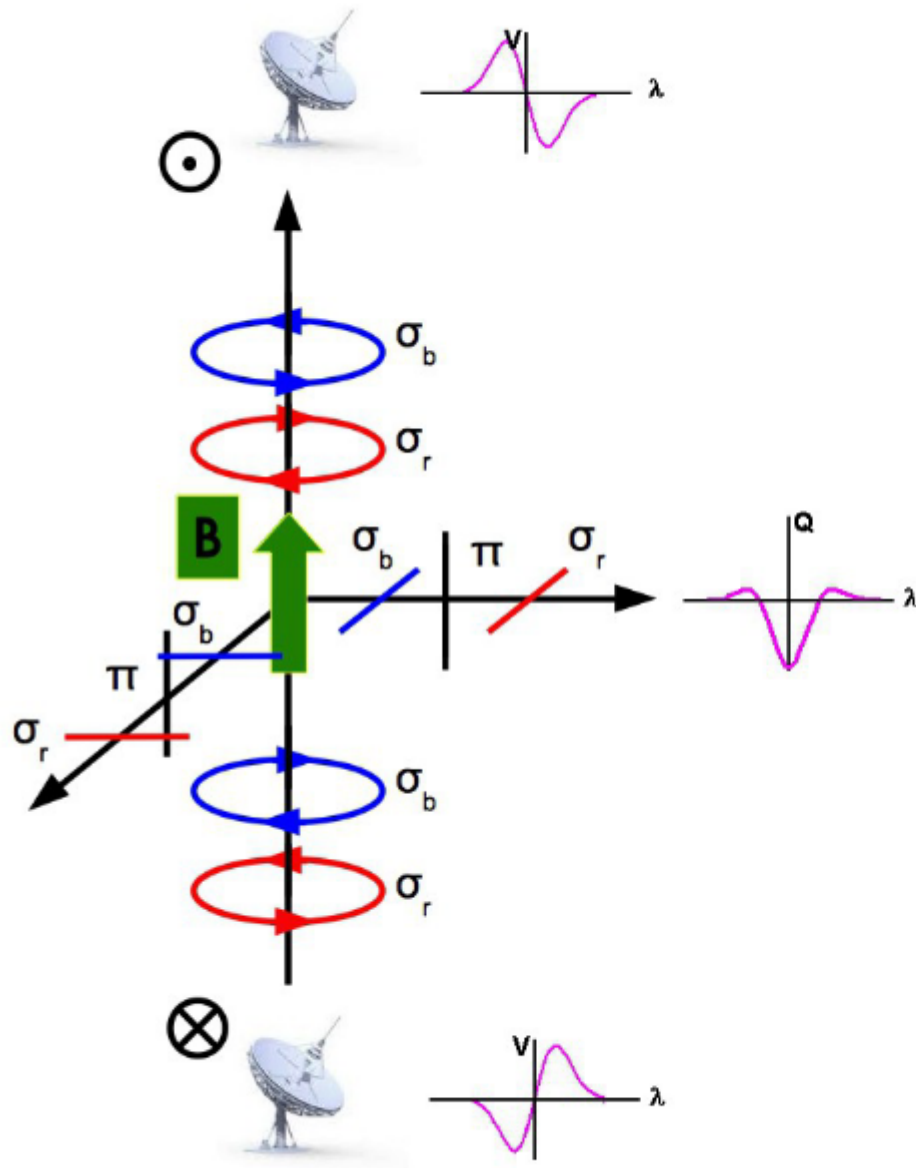
HerBIE :

- Total dust mass
- Total dust luminosity
- Interstellar radiation field intensity (diffuse Galactic ISM : $U=1$)

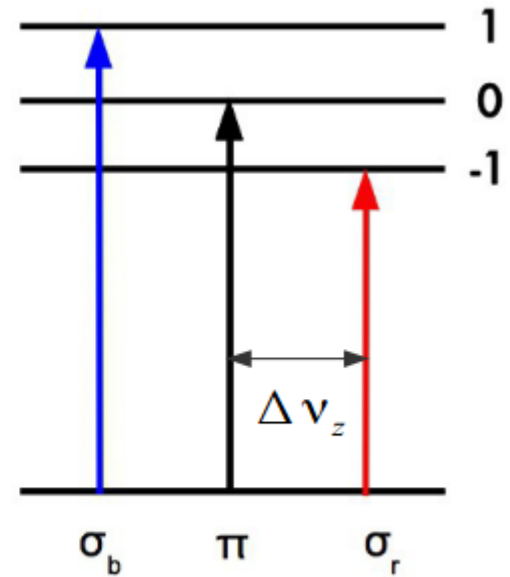
$$\int_{0.0912 \mu\text{m}}^{8 \mu\text{m}} 4\pi J_{\lambda} d\lambda = 2.2 \times 10^{-5} \text{ W/m}^2$$

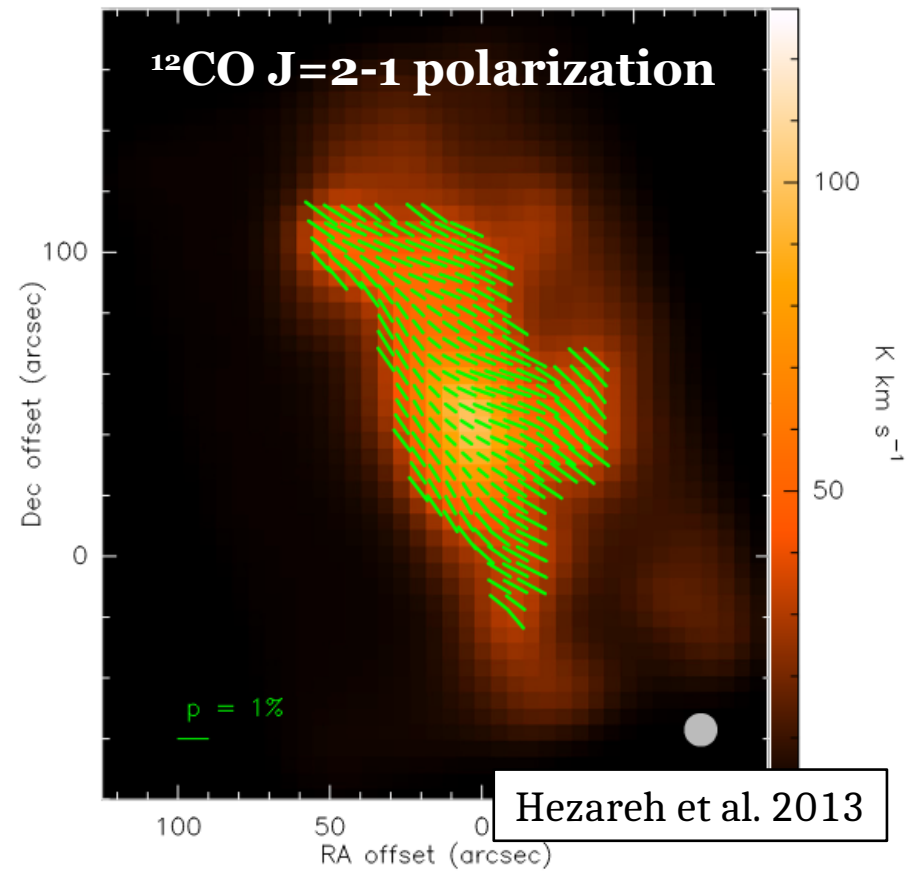
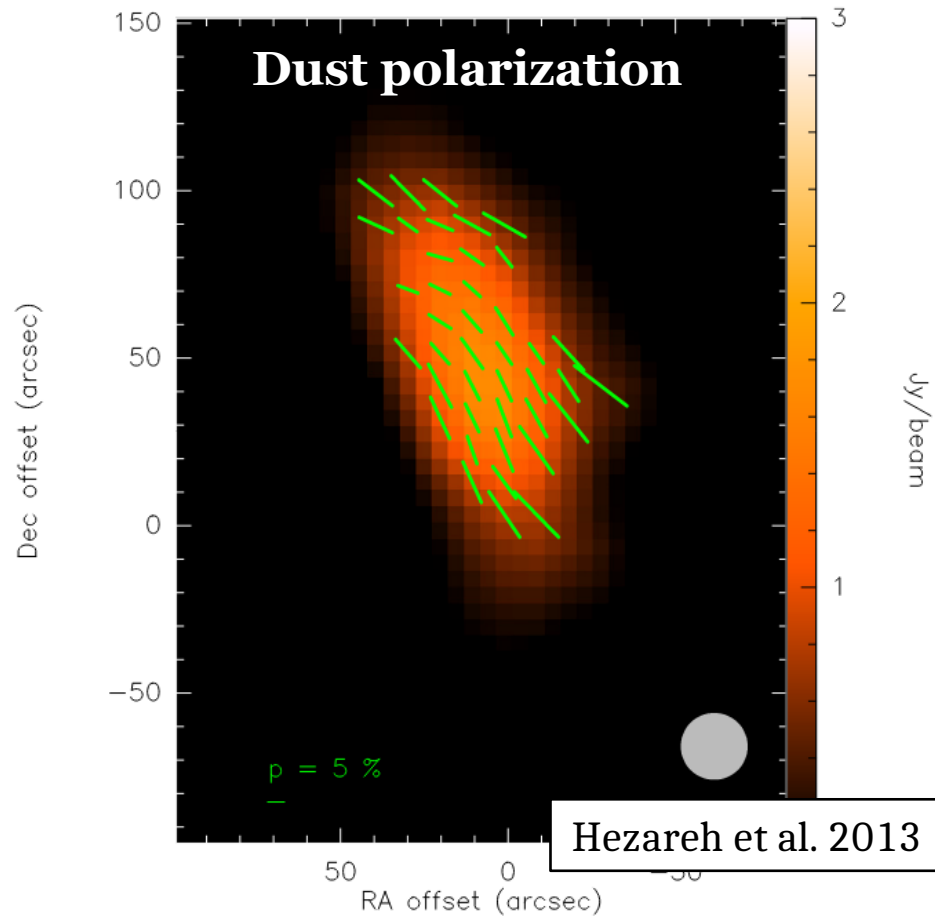
- PAH mass fraction

Magnetic field



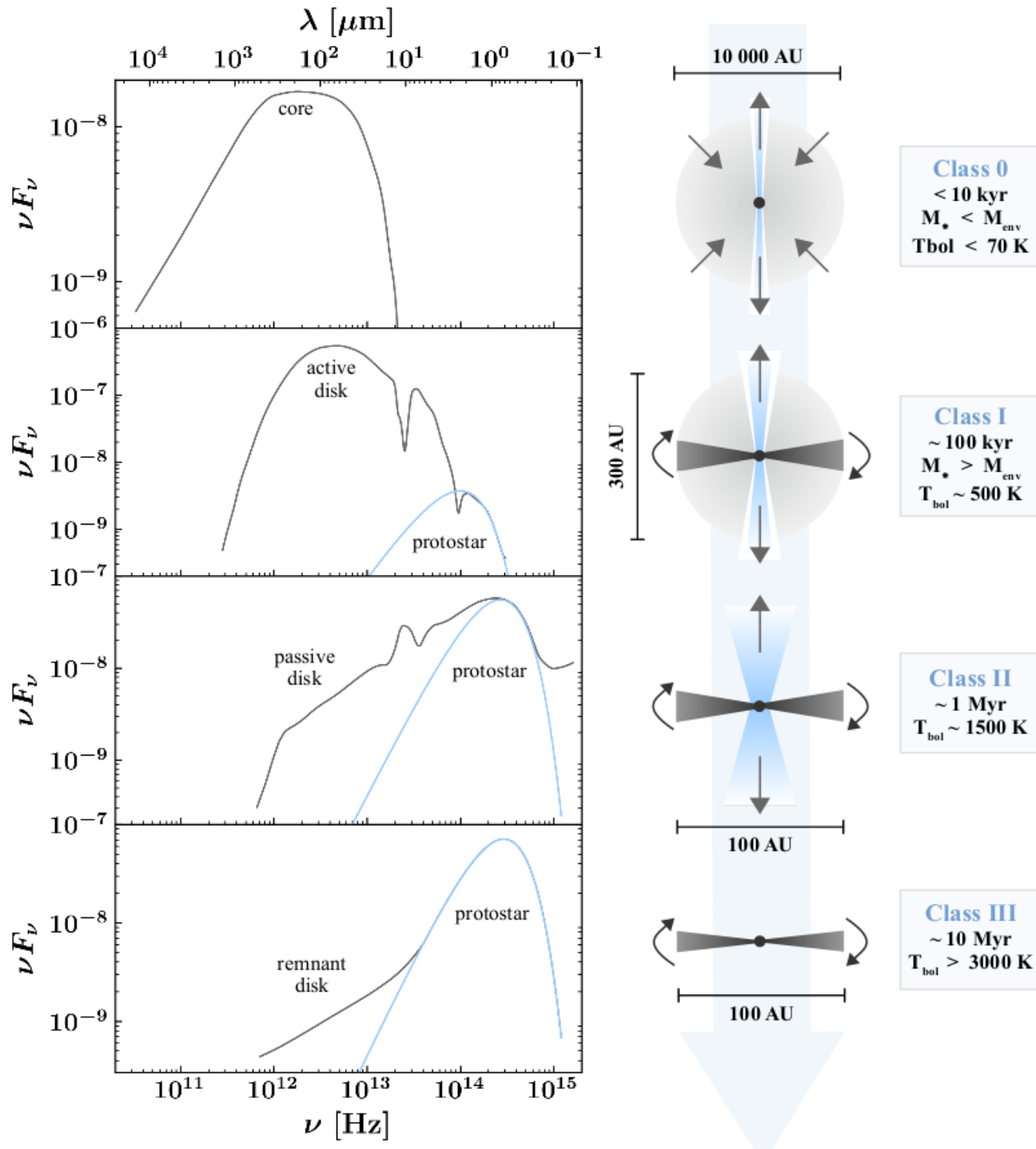
Zeeman effect on Molecular lines

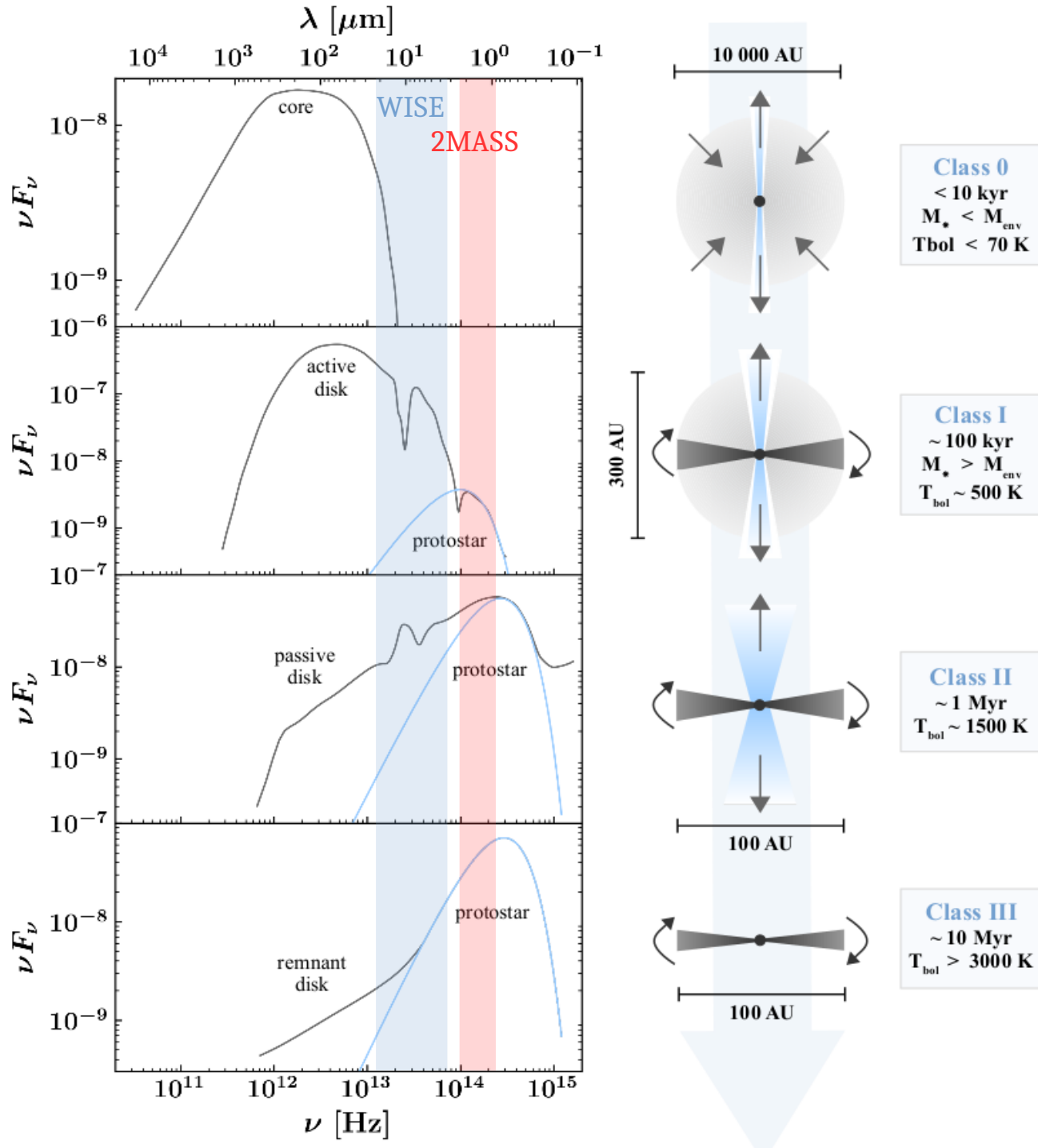




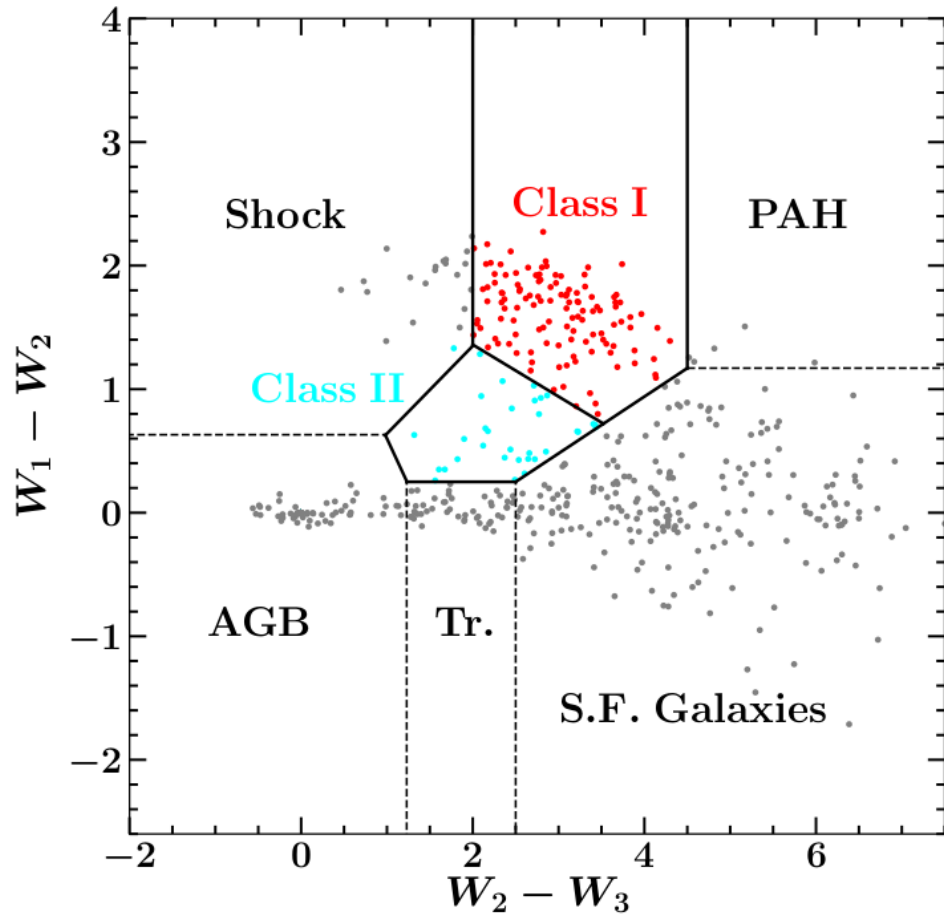
See also Houde et al. 2012

Protostars



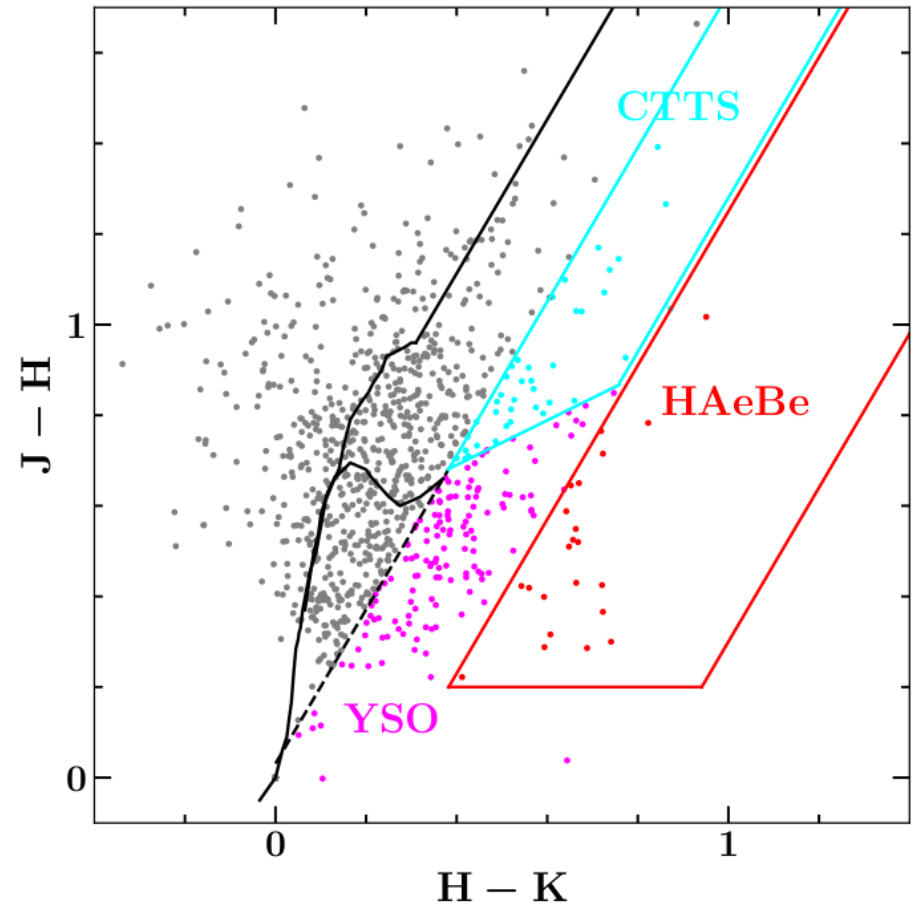


WISE census

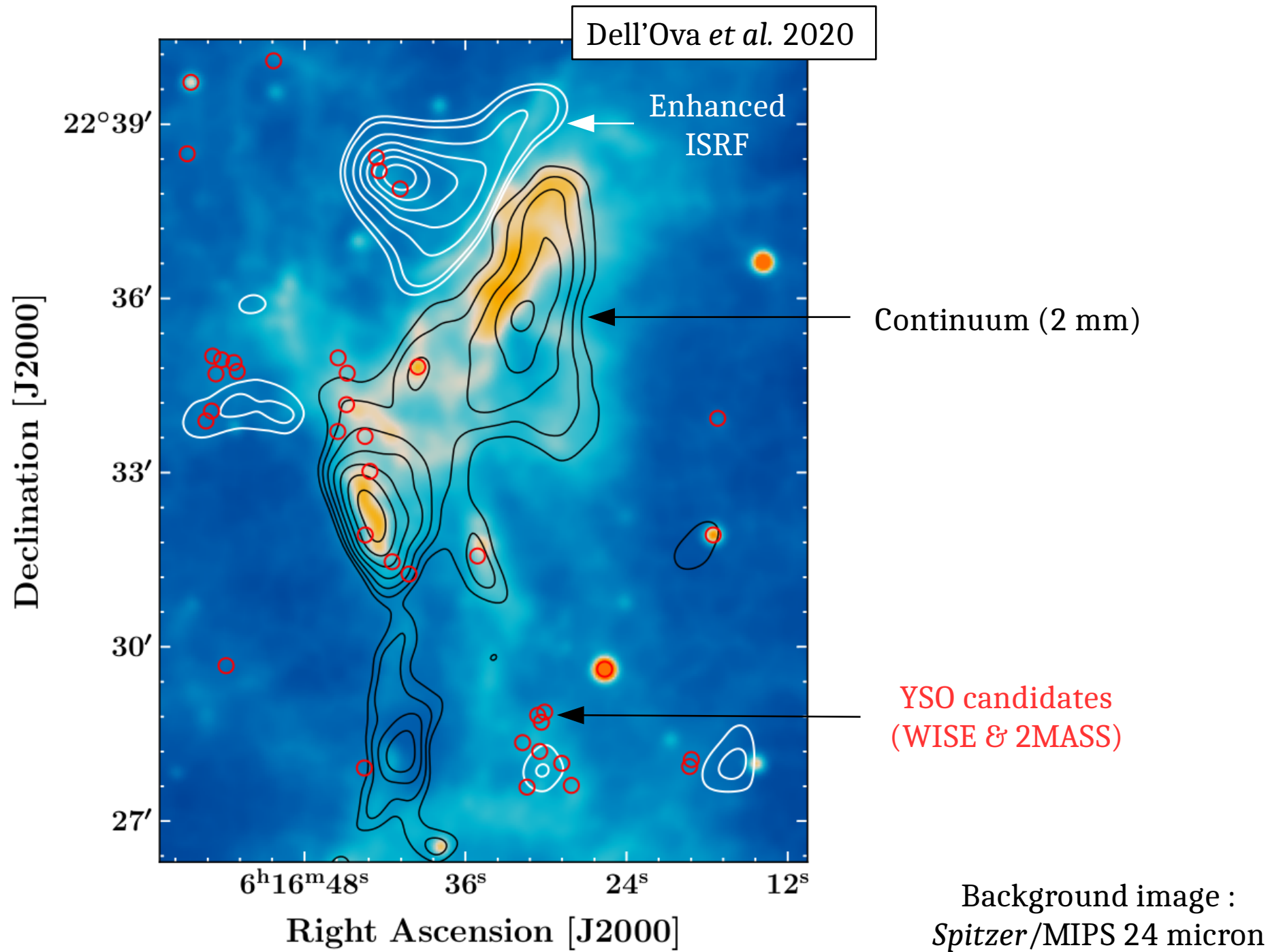


Fischer *et al.* 2016

2MASS census



Xu *et al.* 2011



Summary

