



#### Latest (no CBC) News from LIGO/Virgo

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1<sup>st</sup> MaNiTou Summer School on Gravitational waves

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## **Rotating neutron stars**

- Neutron stars can form from the remnant of stellar collapse
- Typical size of 10km, and are about 1.4 solar masses
- Some of these stars are observed as pulsars
- Gravitational waves from neutron stars could tell us about the equation of state of dense nuclear matter
- Our galaxy might contain ~10<sup>9</sup> NS, of which ~10<sup>3</sup> have been identified
  - search for observed neutron stars
  - all sky search (computing challenge)







## The signal from a NS

#### • General case: free rigid body rotation.

- The rotation can be described in term of Elliptic functions
- Two periodicities: discrete spectrum
- Small deviations from axisymmetry:
  - Deviation from axisymmetry:  $2\Omega_{rot}$
  - Precession:  $\Omega_{rot} + \Omega_{prec} \simeq \Omega_{rot}$
  - excited oscillatory modes such as the r-mode  $rac{4}{3}\Omega_{rot}$



**R-modes in accreting stars** 





## The expected signal at the detector

## A gravitational wave signal we detect from a NS will be:

- Frequency modulated by relative motion of detector and source
- Amplitude modulated by the motion of the non-uniform antenna sensitivity pattern of the detector









## CW searches

- Weak and persistent signal.
  - Targeted (particular source)
  - All sky (unknown sources)
- Not really monocromatic
  - Modulations
  - Spin down, environment effects, glitches



## Untargeted search in the galactic center

https://arxiv.org/abs/2204.04523



FIG. 4. Estimates of the 95 % C.L. r-mode amplitude upper limits for neutron stars in the GC region assuming d = 8 kpc.

10<sup>0</sup>



FIG. 5. Constraints on the black hole mass – boson mass plane, assuming CW emission from boson clouds around spinning black holes located in the GC. An initial black hole dimensionless spin  $\chi_i = 0.5$  and cloud ages of  $t_{\text{age}} = 10^3$ ,  $10^5$ ,  $10^7$  years are considered.

# Relaxing assumptions for CW signals https://arxiv.org/abs/2201.10104



- Gravitational waves are emitted at harmonics (multiples) of the star spin frequency
- No measurements of the spinning frequency of the neutron star in Scorpius X-1.
- The chaotic nature of accretion implies that the spin frequency of the neutron star can change in an unpredictable way over time. (*spin wandering*)
- Analysis based on Hidden Markov Model



#### Artist's impression of the Scorpius X-1 LMXB system.

## DM candidates searchable with gravitational waves

- Environmental effects on compact objects
  - The compact object structure can be changed: accretion disk, spin down effects, formation of a DM core
  - The GW production mechanism can be changed
  - Inpact on propagation of generated GW and EM waves

Signature: Unusual waveform

- Primordial black holes
  - Microlensing data seems to exclude that ALL DM can be explained in this way.
  - Not completely uncontroversial, some assumptions can be weakened;
  - Could be responsible for a fraction of DM; *Signature: Subsolar mass BH evidence*
- Exotic objects
  - GW190521 is compatible with a merger between two complex vector boson star, with  $m_b \sim 8.7 \times 10^{-13}$  eV (head on collision)

See Phys. Rev. Lett. **126**, 081101

#### • Superradiance effects

- A Kerr BH can transfer efficiently its energy to a cloud of ultra-light bosons, (scalar or vector) when  $\lambda_c \sim R_s$  (which means  $10^{-21}eV < m_b < 10^{-11}eV$ )
- The cloud can emit a nearly-periodic, long duration GW signal potentially detectable by LIGO-Virgo-KAGRA if  $10^{-13}eV < m_b < 10^{-11}eV$



PRL 123, 171101 (2019) PRD 101, 063020 (2020) PRD 99, 084042 (2019) PRD 98, 103017 (2018)

## DM direct coupling

- DM can DIRECTLY (no GW) couple to the detector, in a way which depends on the candidate
  - Dilaton (fundamental constant modulation)
  - Axion (IF beam phase modulation)
  - dark photon (direct coupling to mirrors)
  - tensor,
  - ...
- Ultra-light DM: bosonic field with huge occupation numbers

**Signature:** Quasi-monochromatic (Maxwell-Boltzmann broadened) signal correlated between different detectors

Frequency is determined by the mass

Broadening contains information about DM distribution



## GW associated to Fast Radio Burst https://arxiv.org/abs/2203.12038





 Lower limits on the 90% confidence level exclusion distances for BNS (lower bar), generic spin NSBH (middle bar), and aligned spin NSBH (upper bar) progenitor systems are shown as found by the modelled search. These are compared to the 90% credible intervals (whisker plot) on the DL posterior determined by the MCMC method for the FRBs considered in this study.

## Stochastic backgrounds

A stochastic background can be seen as

- a GW field which evolves from an initially random configuration
- the result of a superposition of many uncorrelated and unresolved sources

Two different kinds:

- Cosmological:
  - signature of the early Universe
  - inflation, cosmic strings, phase transitions...
- Astrophysical:
  - sources since the beginning of stellar activity
  - compact binaries, supernovae, rotating NSs, core-collapse to NSs or BHs, supermassive BHs...



## Description (simplest model)

1. Strain: sum over modes

$$h_{ij}(t,\vec{r}) = \sum_{P=+,\times} \int_{S^2} d\hat{\Omega} \,\varepsilon_{ij}^P(\hat{\Omega}) \int_{-\infty}^{\infty} df \,\tilde{h}_P(f,\hat{\Omega}) e^{i2\pi f(t-\hat{\Omega}\cdot\vec{r})}$$

2. Signal at the detector: projection on the detector's tensor

$$h(t,r) = D^{ij}h^{ij}(t,r)$$

3. Correlation between GW modes

$$< h_A^{\star}(f,\hat{\Omega},\psi)h_B(f',\hat{\Omega}',\psi') >= \delta_{AB}\delta(f-f')\frac{\delta^2(\hat{\Omega},\hat{\Omega}')}{4\pi}\frac{\delta(\psi-\psi')}{2\pi}\frac{1}{2}S_h(f)$$

4. Connection with GW energy density

$$h_0^2 \Omega_{gw}(f) = \frac{1}{\rho_c} \frac{d\rho_{gw}}{d\log f} = \frac{4\pi^2 h_0^2}{3H_0^2} f^3 S_h(f)$$



## How it is possible to (directly) detect it

• We have a vector-valued Gaussian stochastic process

$$\underline{x}_{i} = \left(x_{i}^{\text{Virgo}}, x_{i}^{\text{Hanford}}, \cdots\right) \qquad dP = \mathcal{N} \prod_{f} \exp\left(-\frac{1}{2} \underline{\tilde{x}}_{f}^{+} C^{-1}(f) \underline{\tilde{x}}_{f}\right) d\underline{\tilde{x}}_{f}$$
$$\underline{x}_{i} = \underline{h}_{i} + \underline{n}_{i} \qquad \left\langle \underline{n}_{i} \otimes \underline{n}_{j} \right\rangle = Ic_{ij}$$

• We must discriminate between two hypothesis:



• Optimal statistic (two detectors):

$$Y = \lambda \int df \frac{\tilde{x}_1^{\star}(f)\tilde{x}_2(f)\gamma_{12}(f)S_h(f)}{S_{n,1}(f)S_{n,2}(f)}$$

Overlap reduction function (a.k.a. coherence)

$$\mathsf{SNR}_Y^2 := \frac{\mu_Y^2}{\sigma_Y^2} = 2T \int_0^\infty S_h^2(f) \frac{\gamma_{12}^2(f)}{S_{n,1}(f)S_{n,2}(f)} df$$



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# Upper limits & expected sensitivities

- Big-Bang Nucleosynthesis model and observations constrain the total GW energy at the time of BBN (integral bound)
- Similar bound from CMB observations
- Too much GW gives too much large angle anisotropy by the Sachs Wolfe effect
- Signal from millisecond pulsars works as a (big) interferometer:



## Inflation

- Parametric amplification of vacuum quantum fluctuations
- Standard inflationary models are weakly dependent on frequency
- Tight bound: CMB large angle anisotropy
- Out of reach of advanced detectors by 5 orders of magnitude





#### Resonant preheating



- During a resonant preheating phase at the end of the inflation, inflaton energy can be transferred efficiently to other particles
- Can produce a significant GW background
- Spectrum peak depends on energy scale (here 10 GeV, higher frequencies for a larger scale)



Easther & Lim, JCAP 0604, 010 (2006) Easther et al., PLR 99, 221301 (2007) Easther, Nucl. Phys. Proc. Suppl. 194, 33 (2009)

## Cosmic strings

Topological defects, possible result of SSB



#### • Dynamical network:

- Strings entering in the horizon
- Interconnection: loops generation
- Radiation (GW and other fields): loop destruction



#### Cosmic string models



Most efficient emission mechanisms: cusps and kinks

Damour & Vilenkin, PRL 85, 3761 (2000) Siemens et al., PRL 98, 111101 (2007) Olmez et al., PRD 81, 104028 (2010)



## Axion-based inflation models

- Models include axiongauge couplings
- Gauge backreaction on the inflaton extends inflation
- The late inflationary phase increases GW production at high frequencies

Barnaby, Pajer and Peloso - Phys. Rev. D 85, 023525



Pre-BB models

- Alternative cosmologies
- Evade the CMB large angle anisotropy bound
- Evade the BBN-CMB integral bound
- Could be significant at Virgo/LIGO frequencies

 $10^{-2}$ CMB+LSS BBN  $10^{-4}$ PLANCK  $10^{-6}$ ctrum  $10^{-8}$ LISA CMB Energy Large Angle 10<sup>-10</sup> 10<sup>-12</sup> 10<sup>-14</sup> INFLATION  $10^{-5}$  $10^{-15}$  $10^{-10}$ 10 Frequency v [Hz]

Gasperini & Veneziano, Phys. Rep. 373, 1 (2003) Buonanno et al., PRD 55, 3330 (1997)

## Stochastic background searches

Upper Limits on the Isotropic Gravitational-Wave Background from Advanced LIGO's and Advanced Virgo's Third Observing Run



	Uniform prior				Log-uniform prior		
α	O3 O2	2 [43]	Improvem	nent	O3	O2 [43]	Improvement
0	$1.7 \times 10^{-8}$ 6.0 x		3.6		$5.8 \times 10^{-9}$		6.0
$\frac{2}{3}$	$1.2 \times 10^{-8} 4.8$				$3.4 \times 10^{-9}$		8.8
	$1.3 \times 10^{-9}$ 7.9 :			_	$3.9 \times 10^{-10}$		13.1
N C	0 - 10 - 8 1 1	10-7	4 4		$a = 10^{-9}$	0.410-8	F 1
Marg.	$2.7 \times 10^{-8} \ 1.1$	× 10 '	4.1	(	$6.6 \times 10^{-9}$	3.4 × 10 °	5.1
	$\begin{array}{c} 2.7 \times 10^{-6} & 1.15 \\ \hline \\ Polarization \end{array}$		4.1 O3		02 [43]	Improv	
			O3	0			ement
	Polarization	6.4 7.9	$\begin{array}{c} \text{O3} \\ \times 10^{-9} \\ \times 10^{-9} \end{array}$	O 3.2 2.9	02 [43]	Improv 5.0 3.'	ement



Constraints on cosmic strings using data from the third Advanced LIGO–Virgo observing run <u>https://arxiv.org/abs/2101.12248</u>



#### Astrophysical Stochastic Background

#### • Core collapse supernovae

- Neutron star formation: Blair & Ju 1996, Coward et al. 2001-02, Howell et al. 2004, Buonanno et al. 2005
- Stellar Black Hole formation: Ferrari et al. 1999, de Araujo et al. 2000-04

#### Neutron stars

- tri-axial emission: Regimbau & de F. Pacheco 2001-06
- bar or r-modes: Owen et al. 1998, Ferrari et al. 1999, Regimbau 2001
- phase transitions: *Sigl 2006*

$$\Omega_{gw}(f) = \int P(\underline{\theta}) \Omega_{gw}(f, \underline{\theta}) d\underline{\theta}$$
$$\Omega_{gw}(f, \underline{\theta}) = \int \int dR$$



• Stellar Compact Binaries

- near coalescence (NS, BH): Regimbau et al. 2006-07, Coward et al. 2005 (BNS), Howell et al. 2007 (BBH)
- low frequency inspiral phase: Ferrari et al. 2002, Farmer & Phinney 2002, Cooray 2004 (WD-NS)

Capture of compact objects by SMBHs : Barack & Cutler 2004

$$\Omega_{gw}(f,\underline{\theta}) = \frac{f}{\rho_c} \int \frac{dR}{dz} \left(z,\underline{\theta}\right) \frac{1}{4\pi r^2(z)} \frac{dE_{gw}}{df} \left(\underline{\theta}, f(1+z)\right) dz$$

Astrophysical Stochastic Background

$$D(z) = \int_0^z \tau \left(1 + z'\right) \frac{dR}{dz'} dz'$$

Duty cycle: ratio between the observed typical duration of the event and the average time between events.

- $D \ll 1$ : resolved sources
  - Burst data analysis, optimal filtering

#### • $D \simeq 1$ : «popcorn noise»

- Bayesian approach
- Suboptimal, unmodeled approaches

# $\bigcirc D \gg 1$ : Gaussian stochastic background



Cross correlation statistic (isotropic/anisotropic)



## Standard polarizations







Tensor

Targeted search: reconstruct a map of the gravitational wave luminosity in the sky

 Correct the directiondependent modulation

- Cross-Correlate
- At least 3 detectors needed to close the inverse problem.
- Angular resolution limited by  $\lambda/D$



3000km

 $\Omega_{gw}(f) = \frac{2\pi^2}{3H_0^2} f^2 S_h(f) \int_{S^2} d\hat{\Omega} \,\mathcal{P}(\hat{\Omega})$  $\mathcal{P}(\vec{\Omega}) \equiv \int \eta(\hat{\Omega}') \delta^2(\hat{\Omega}, \hat{\Omega}') d\hat{\Omega}' \quad \text{(radiometer) search}$  $\mathcal{P}(\vec{\Omega}) \equiv \sum c_{\ell m} Y_{\ell m}(\hat{\Omega}) \quad \text{(SA) search}$ 



# Some future perspectives



#### O4: what we expect



		01	O2	O3	O4	O5
BNS Range (Mpc) $1.4M_{\odot} + 30M_{\odot}$	aLIGO AdV KAGRA	80 -	100 30	110–130 50 8–25	160 - 190 90 - 120 25 - 130	330 150 – 260 130+
$\frac{1.111.0}{\text{BBH Range (Mpc)}}$ $30M_{\odot} + 30M_{\odot}$	aLIGO AdV KAGRA	740	910 270	990-1200 500 80-260	$\frac{1400 - 1600}{860 - 1100}$ $260 - 1200$	2500 1300 – 2100 1200+
NSBH Range (Mpc) $1.4M_{\odot} + 10M_{\odot}$	aLIGO AdV KAGRA	140 - -	180 50 -	190–240 90 15–45	300 - 330 170 - 220 45 - 290	590 270–480 290+
Burst Range (Mpc) $[E_{\rm GW} = 10^{-2} M_{\odot} c^2]$	aLIGO AdV KAGRA	50 - -	60 25 -	80-90 35 5-25	110 - 120 65 - 80 25 - 95	210 100–155 95+
Burst Range (kpc) $[E_{\rm GW} = 10^{-9} M_{\odot} c^2]$	aLIGO AdV KAGRA	15 - -	20 10	25 - 30 10 0 - 10	35 - 40 20 - 25 10 - 30	$70 \\ 35 - 50 \\ 30 +$

#### SNR = 8 on each detector

*Living Rev Relativ* **23,** 3 (2020). https://doi.org/10.1007/s41114-020-00026-9

## O4: what we expect

Table 5 Expected BNS, BBH and NSBH detections and localization accuracy for the O3 and O4 observing runs						
Observation run	Network	Expected BNS detections	Expected NSBH detections	Expected BBH detections		
O3 O4	HLV HLVK	$1^{+12}_{-1}$ $10^{+52}_{-10}$	$0^{+19}_{-0}$ $1^{+91}_{-1}$	$17^{+22}_{-11}$ $79^{+89}_{-44}$		
		Area (deg <sup>2</sup> ) 90% c.r.	Area $(deg^2)$ 90% c.r.	Area (deg <sup>2</sup> ) 90% c.r.		
O3 O4	HLV HLVK	$270^{+34}_{-20} \\ 33^{+5}_{-5}$	$330^{+24}_{-31}$ $50^{+8}_{-8}$	$280^{+30}_{-23}$ $41^{+7}_{-6}$		
		Comoving volume (10 <sup>3</sup> Mpc <sup>3</sup> ) 90% c.r.	Comoving volume (10 <sup>3</sup> Mpc <sup>3</sup> ) 90% c.r.	Comoving volume (10 <sup>3</sup> Mpc <sup>3</sup> ) 90% c.r.		
O3 O4	HLV HLVK	$120^{+19}_{-24} \\ 52^{+10}_{-9}$	$860^{+150}_{-150} \\ 430^{+100}_{-78}$	$\frac{16000^{+2200}_{-2500}}{7700^{+1500}_{-920}}$		

**One year data taking period** *Living Rev Relativ* **23**, 3 (2020). https://doi.org/10.1007/s41114-020-00026-9



## Detection horizon for black-hole binaries



Summary: present and future GW science

#### ASTROPHYSICS

- Black hole properties
  - origin (stellar vs. primordial)
  - evolution, demography
- Neutron star properties
  - interior structure (QCD at ultra-high densities, exotic states of matter)
  - demography
- Multi-band and -messenger astronomy
  - joint GW/EM observations (GRB, kilonova,...)
  - multiband GW detection (LISA)
  - neutrinos
- Detection of new astrophysical sources
  - core collapse supernovae
  - isolated neutron stars
  - stochastic background of astrophysical origin

#### FUNDAMENTAL PHYSICS AND COSMOLOGY

- The nature of compact objects
  - near-horizon physics
  - tests of no-hair theorem
  - exotic compact objects
- Tests of General Relativity
  - post-Newtonian expansion
  - strong field regime
- Dark matter
  - primordial BHs
  - axion clouds, dark matter accreting on compact objects
- Dark energy and modifications of gravity on cosmological scales
  - dark energy equation of state
  - modified GW propagation
- Stochastic backgrounds of cosmological origin
  - inflation, phase transitions, cosmic strings