# Search for the lepton flavour violating $\tau \to l \phi$ decay at Belle II

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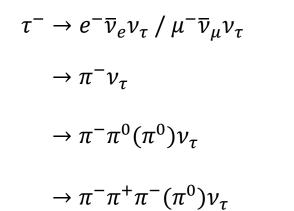
# The tau lepton as part of the Standard Model

# The Standard Model (SM) of particle physics:

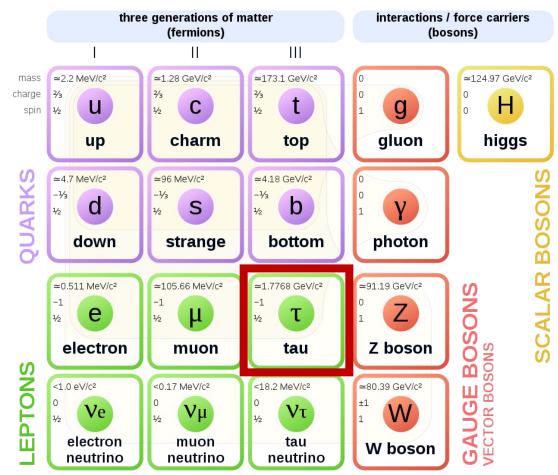
- To this day, best description of interactions between particles.
- Still doesn't explain some phenomena (baryon asymmetry, dark matter/energy, neutrino oscillations...).
   → search for new physics (NP).

### The tau lepton:

- Discovered in 1974-1977 at SLAC-LBL, California.
- Heaviest lepton:  $M_{\tau} = 1.777 \text{ GeV/c}^2$ .
- Lifetime: ~ 3 × 10<sup>-13</sup> s (shorter than muon lifetime by 7 orders of magnitude!).
- Preferred decay channels (95% of decays):



# **Standard Model of Elementary Particles**



# Tau lepton flavour violation with $au o l \phi$

### Occurs via weak interaction, but highly suppressed! Any discovery would be an indication of NP.

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Lepton Flavour Violation (LFV):

# Our study's decay channel is: $\tau \rightarrow I \varphi$ (I = e, $\mu$ ).

**Charged LFV** is a consequence of neutrino oscillation.

when flavours of leptons (neutrinos included) are not conserved

**Neutral LFV** was forbidden in the SM... until the discovery of neutrino oscillation!

Neutrinos have small masses  $\rightarrow$  change of flavour following PMNS matrix.

### $\phi = s\overline{s}$ meson, mass = 1020 MeV/c<sup>2</sup>

from initial to final state of the decay.



 $v_{\tau}$ 

 $v_1$ 

 $Br \sim \mathcal{O}(10^{-54})$  in SM\*

 $\begin{array}{ccc} \underline{e.g.}:\\ \mu^- \to e^- \overline{\nu}_e \nu_\mu & \mu^- \to e^- \gamma\\ \underline{no \ LFV} & \underline{LFV} \end{array}$ 

 $egin{bmatrix} 
u_e \ 
u_\mu \ 
u_ au \end{bmatrix} = egin{bmatrix} U_{e1} & U_{e2} & U_{e3} \ U_{\mu 1} & U_{\mu 2} & U_{\mu 3} \ U_{\tau 1} & U_{ au 2} & U_{ au 3} \end{bmatrix} egin{bmatrix} 
u_1 \ 
u_2 \ 
u_3 \end{bmatrix}$ 

Pontecorvo-Maki-Nakagawa-Sakata matrix

J. I. Illana et al., arXiv:hep-ph/0001273 (2000)

# LFV in New Physics: Supersymmetry

# Table 1.1: Chiral supermultiplets in the Minimal Supersymmetric Standard Model.Spin-0 fields are complex scalars, and spin- $\frac{1}{2}$ fields are left-handedtwo-component Weyl fermions.

Names		spin 0	spin 1/2	$SU(3)_C, SU(2), U(1)_Y$	
squarks, quarks	Q	$(\tilde{u}  \tilde{d})$	( <i>u d</i> )	$(3, 2, \frac{1}{3})$	
(×3 families)	u <sup>c</sup>	$\tilde{u}^c$	u <sup>c</sup>	$(\overline{3}, 1, -\frac{4}{3})$	
	$d^c$	$ ilde{d}^c$	$d^c$	$(\bar{3}, 1, \frac{2}{3})$	
sleptons, leptons	L	$(\tilde{v} \ \tilde{e})$	(v e)	( <b>1</b> , <b>2</b> , -1)	
(×3 families)	$e^{c}$	$ ilde{e}^c$	$e^{c}$	(1, 1, 2)	
Higgs, higgsinos	$H_u$	$(H_u^+  H_u^0)$	$( ilde{h}^+_u   ilde{h}^0_u)$	(1, 2, +1)	
	$H_d$	$(H^0_d  H^d)$	$(\tilde{h}^0_d \ \ \tilde{h}^d)$	( <b>1</b> , <b>2</b> , -1)	

Table 1.2: Gauge supermultiplets in the Minimal Supersymmetric Standard Model.

Names	spin 1/2	spin 1	$SU(3)_C, SU(2)_L, U(1)_Y$		
gluino, gluon	$ ilde{g}$	g	( <b>8</b> , <b>1</b> , 0)		
winos, W bosons	$ ilde W^{\pm} ~~ ilde W^0$	$W^{\pm}  W^0$	( <b>1</b> , <b>3</b> , 0)		
bino, B boson	b, B boson $\tilde{B}^0$		(1, 1, 0)		

Figure 2.1: Chargino diagrams contributing to  $l_j \rightarrow 3l_i$ 

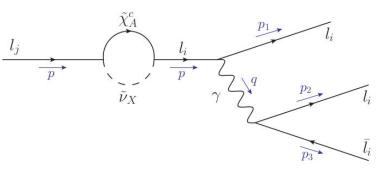
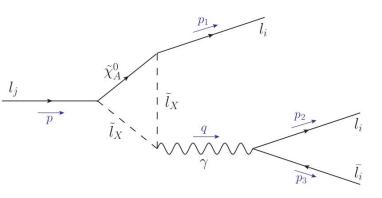


Figure 2.2: Neutralino diagrams contributing to  $l_i \rightarrow 3l_i$ 



### Supersymmetry (SUSY):

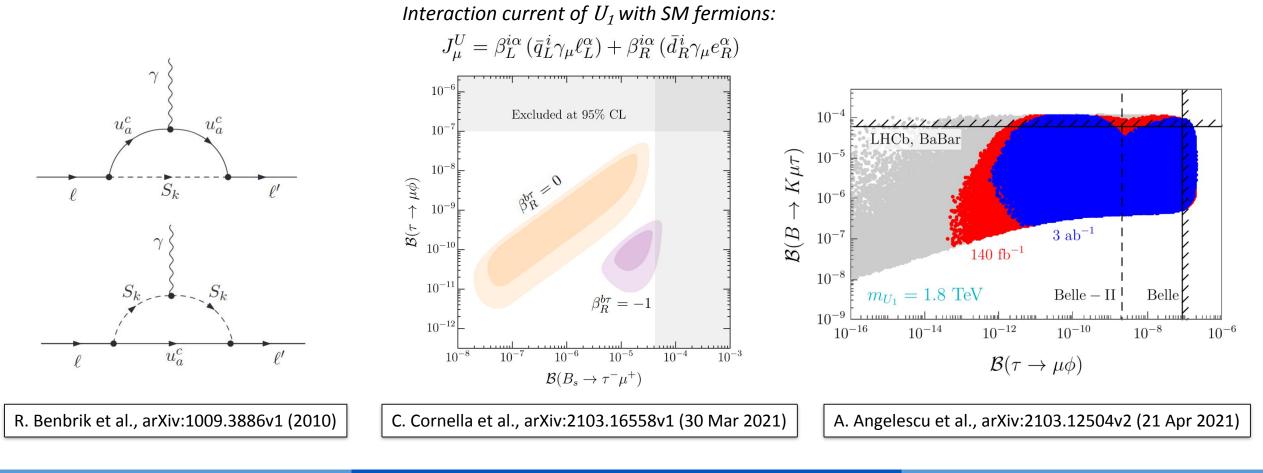
symmetry relating bosons and fermions, where each boson (fermion) has a fermionic (bosonic) superpartner.

- Could explain some shortcomings of the SM (hierarchy problem of Higgs boson, dark matter...).
- Introduces LFV from chargino-sneutrino-lepton and neutralino-slepton-lepton interactions.

M. Koval, LFV  $\tau$  and  $\mu$  Decays in SUSY Theories (2012)

# LFV in New Physics: Leptoquarks

 $\tau \rightarrow \mu \phi$  decay channel is particularly interesting with regard to NP models involving **leptoquarks**, here the  $U_1$  particle. Leptoquarks are expected in grand unification theories (GUT) and some technicolor models. They could be linked to lepton flavour universality violation as might suggest the anomalies seen in  $b \rightarrow s\ell\ell$  and  $b \rightarrow c\ell\nu$  transitions.



# **The Belle II experiment**



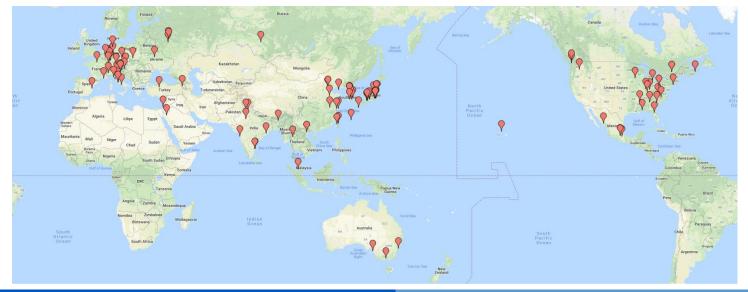
- KEK laboratory (Tsukuba, Japan),  $\sim$  60 km from Tokyo.
- Successor to Belle, upgrade of KEKB collider.
- SuperKEKB: e<sup>+</sup>e<sup>-</sup> collider, 3 km in circumference.
- Data taking with (almost) complete detector started in 2019.



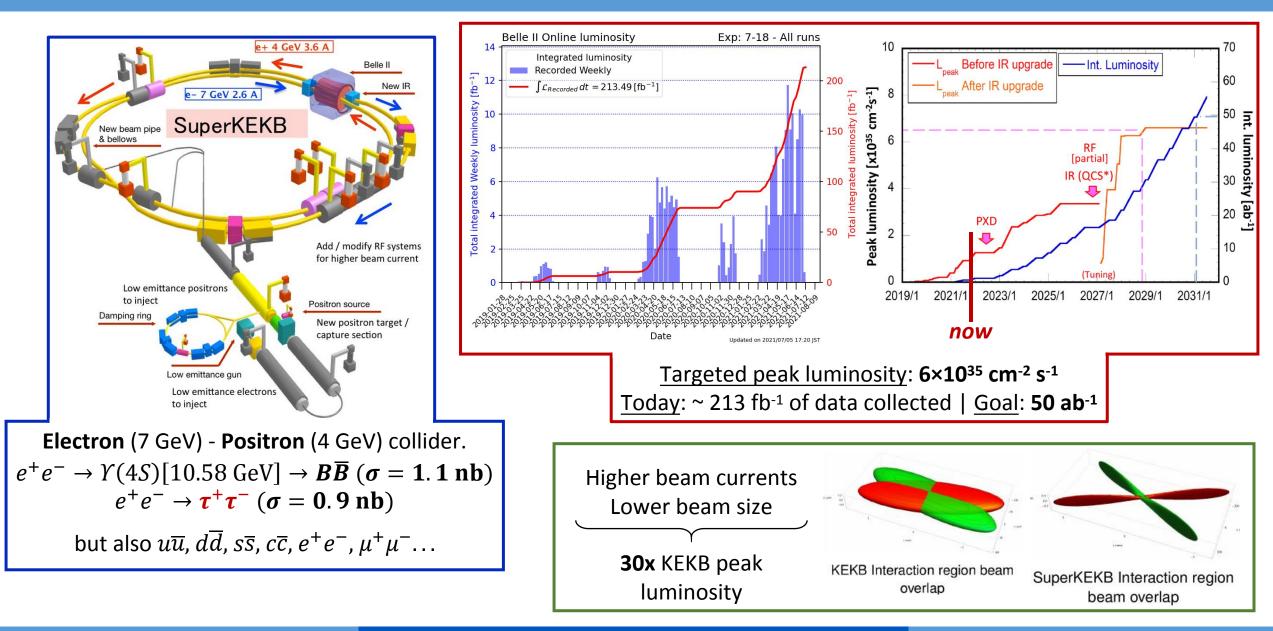
 $\sim$  26 countries

A thousand of members

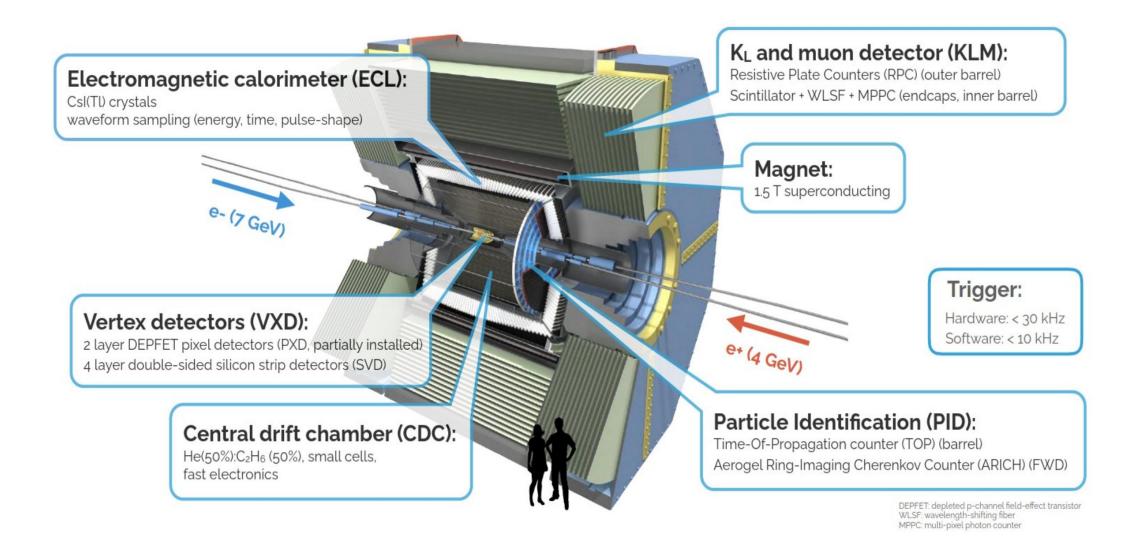
300 students



# SuperKEKB and status of Belle II



# **Belle II detector**

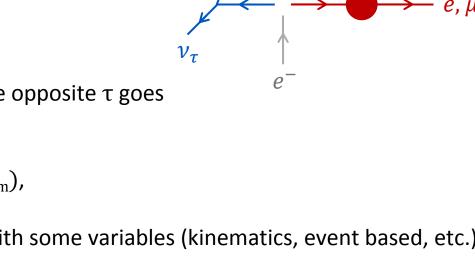


# Strategy of the analysis

The analysis consists in reconstructing the  $\tau \rightarrow |\phi$  channel on data while applying a background suppression selection defined from Monte-Carlo (MC) simulation studies to seek signal events.

# Steps of the study on simulation:

- Reconstruct the signal channel (**signal side, 3-prong**) for one  $\tau$  while opposite  $\tau$  goes into e,  $\mu$  or  $\pi$  (**tag side, 1-prong**),
- Define a **signal region** using the variables  $M_{l\phi}$  and  $\Delta E_{l\phi}$  (=  $E_{l\phi} E_{beam}$ ),
- Elaborate a strategy of signal selection/background suppression with some variables (kinematics, event based, etc.),
- Optimise the cuts on those variables with respect to a figure of merit (Punzi) to increase the sensitivity to signal events,
- Compare the sensitivities to the ones from the Belle study (https://arxiv.org/pdf/1101.0755v5.pdf),
- Perform data-MC comparison with control channels  $\tau \rightarrow 3\pi\nu$  and  $\tau \rightarrow \pi KK\nu$ .



 $\tau_{tag}$ 

 $\tau_{sig}$ 

 $e\overline{\nu}_e, \mu\overline{\nu}_\mu$ 

# **Reconstruction of the event**

### MC samples:

- Signal:  $\tau^{\pm} \rightarrow e^{\pm} \phi / \tau^{\pm} \rightarrow \mu^{\pm} \phi$
- Backgrounds: τ<sup>+</sup>τ<sup>-</sup> & quark-antiquark (*qqbar*)
   & ee, μμ, eeee, eeμμ, eepp, eeππ, eeKK (*low multiplicity*).

# $e\overline{\nu}_{e}, \mu\overline{\nu}_{\mu}$ $\pi$ $e^{+} \qquad \phi \rightarrow K^{+}K^{-}$ $\downarrow \tau_{sig} \qquad e, \mu$ $\nu_{\tau} \qquad \downarrow e^{-}$

### **Reconstruction**:

- Selection of tracks with certain requirements: production around interaction point & particle identification (PID) or equivalent requirements → for electrons, muons, kaons, pions and photons.
- Only **4 tracks** in the event, with lepton/ $\phi$  and 1-prong in **opposite hemispheres** w.r.t. thrust axis.
- Loose cut around the **\phi meson's mass** at reconstruction level, then much tighter cut optimised against background.
- Bremsstrahlung corrections for electrons.
- Taking into account the lepton ID data-simulation corrections (available only for muons) applied to MC.

# **Bremsstrahlung corrections**

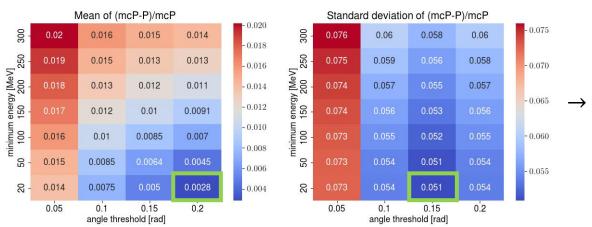
Events are subject to **initial/final state radiations** (ISR/FSR) from **bremsstrahlung** by electrons. Corrections are needed to get as many signal events as possible around the peaking region in the  $M_{l\phi}$ - $\Delta E_{l\phi}$  plane.

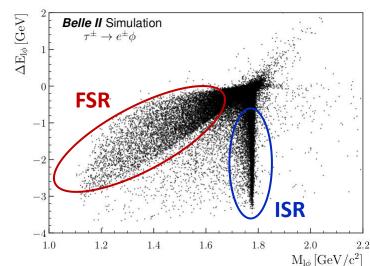
Bremsstrahlung correction for FSR needs two main parameters:

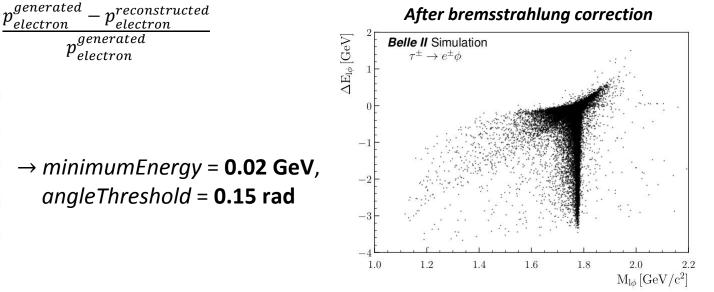
**angleThreshold** (*float*) – The maximum angle in radians between the charged particle and the (radiative) gamma to be accepted.

**minimumEnergy** (*float*) – The minimum energy in GeV of the (radiative) gamma to be accepted.

Parameters were optimised by minimising the mean and standard deviation of (p = momentum):



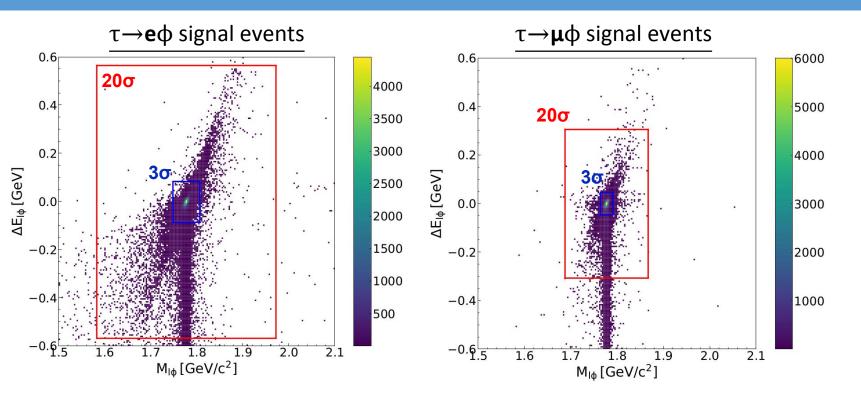




### Before bremsstrahlung correction

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# **Signal regions and resolutions**



**20** $\sigma$  signal region:  $\rightarrow$  optimisation of the selection.

5 $\sigma$  signal region:  $\rightarrow$  fit of background distribution.

### **3**σ signal region:

 $\rightarrow$  region to be blinded, final results.

- Fit both variables with
   (a, b: weights, parameters of the fit):
   a\*Crystal Ball + b\*Core Gaussian
   + (1-a-b)\*Broad Gaussian
- Total sigma is the weighted sum of the three components' sigmas.

Belle's resolutions:  $σ(M_{eφ}) = 4.1 - 4.5 \text{ MeV/c}^2$   $σ(\Delta E_{eφ}) = 14.0 - 22.0 \text{ MeV}$   $σ(M_{μφ}) = 3.7 - 3.8 \text{ MeV/c}^2$   $σ(\Delta E_{μφ}) = 14.2 - 19.9 \text{ MeV}$ 

Our resolutions:

 $\sigma(M_{e\phi}) = 9.7 \text{ MeV}/c^2$ 

 $\sigma(\Delta E_{e\phi}) = 28.3 \text{ MeV}$ 

$$\sigma(M_{\mu\phi}) =$$
 **4.5** MeV/c<sup>2</sup>  
 $\sigma(\Delta E_{\mu\phi}) =$  **15.3** MeV

Belle's resolutions computed from asymmetric Gaussian fits thus not really comparable to ours.

# Strategy of the signal selection optimisation

Figure of merit: FOM<sub>Punzi</sub> = 
$$\frac{\epsilon_{sig}}{\frac{a}{2} + \sqrt{B}}$$
,  $a = 3$ 

**Two MC samples**: one for **training** (4 *ab*<sup>-1</sup>, 20*σ signal region*) and one for **testing** (1 *ab*<sup>-1</sup>, 3*σ signal region*).

- **I.** <u>Scan+BDT</u>: cut-based selection (low multiplicity) + BDT (qqbar) + cut-based selection ( $\tau^+\tau^-$ ).
- **II.** <u>**Cut-based** (full scan)</u>: single <u>cut-based</u> selection, w/o separating the backgrounds.

Selection optimised separately for the different final states (leptonic/hadronic tag-sides) when enough statistics.

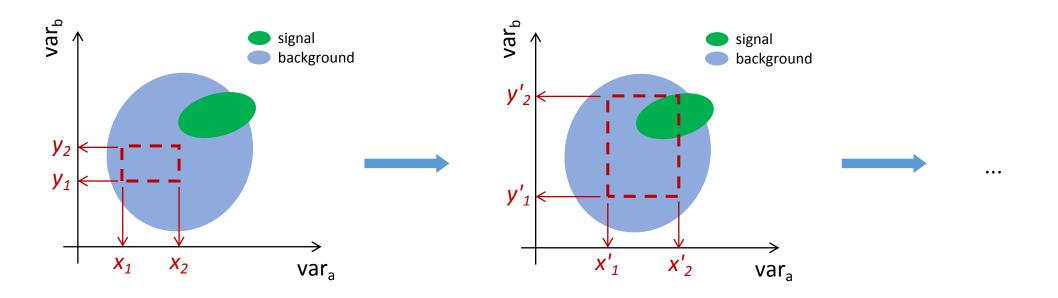
## Variables of interest:

5	Lepton: • $p^{T}_{lep}$ • $\theta^{CM}_{lep}$ iables used in the	$\frac{1-\text{prong}:}{p^{CM}_{1-\text{prong}}}$ $p^{T}_{1-\text{prong}}$ $\theta^{CM}_{1-\text{prong}}$ $e scan algorithm.$ If in the BDT.	$ \frac{\Phi \text{ meson:}}{E_{\Phi}} $ • $P_{\Phi}^{T}$ • $M_{\Phi}$	<ul> <li><u>Neutrals</u>:</li> <li>signal γ multiplicity</li> <li>tag γ multiplicity</li> <li>signal π<sup>0</sup> multiplicity</li> <li>tag π<sup>0</sup> multiplicity</li> </ul>	<ul> <li><u>Vertexing</u>:</li> <li>φ vertex χ<sup>2</sup></li> <li>τ vertex χ<sup>2</sup></li> </ul>	Event based: • E <sup>CM</sup> <sub>vis</sub> • thrust • 1 <sup>st</sup> /2 <sup>nd</sup> /3 <sup>rd</sup> p <sup>T,CM</sup> <sub>3-prong</sub>	$\begin{array}{l} \underline{\text{Missing:}}\\ \bullet  p^{\text{T}}_{\text{miss}}\\ \bullet  \theta_{\text{miss}}\\ \bullet  M^{2}_{\text{miss}}\\ \bullet  \cos \theta^{\text{CM}}_{\text{tag-miss}}\\ \bullet  \cos \theta_{\text{lep-miss}} \end{array}$
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# **Cut-based (scan) algorithm**

Using only **4 pairs** of variables (to reduce computation time).

For each pair of variables var<sub>a</sub> – var<sub>b</sub>, 2D window cuts (red dashed rectangles) of all possible sizes and positions are tested.

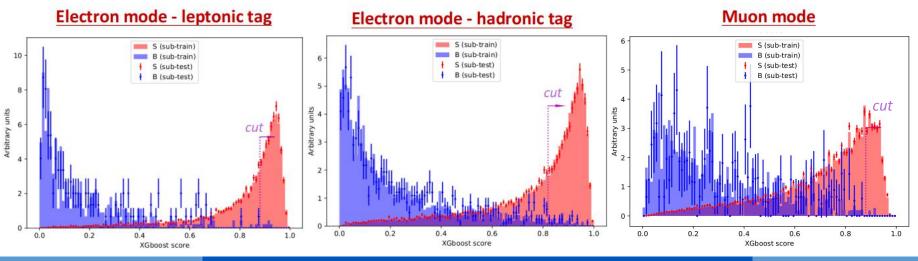


The signal and background yields of each window cut are collected to compute the corresponding Punzi F.O.M.s.

The process is repeated consecutively for each pair of variables (after applying best previous cuts), and for each permutation of the pairs' order.

# **BDT algorithm**

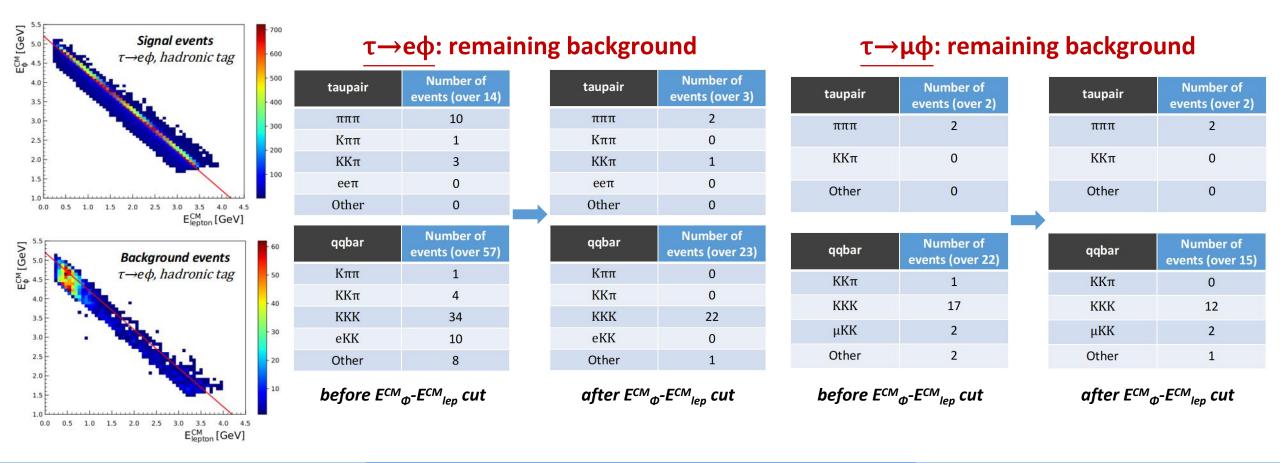
- Using the **XGBoost** library in Python.
- The BDT uses the train sample, which is divided into sub-train and sub-test samples equivalent to 3 and 1 ab<sup>-1</sup>, respectively. The evaluation metric for the classification is the logarithmic loss function.
- 4 parameters that are intended to help against overfitting are optimised in order to give the **lowest background efficiency** in the sub-test sample:
  - a) '*n\_estimators*': Number of boosting rounds.
  - b) '*max\_depth*': Maximum tree depth for base learners.
  - c) '*min\_child\_weight*': Minimum sum of instance weight needed in a child.
  - d) '*gamma*': Minimum loss reduction required to make a further partition on a leaf node of the tree.



# **Further reduction of remaining backgrounds**

A lot of remaining background events after selection originate from misidentification of tracks (mainly  $\pi\pi\pi$  or KKK) or combinatorics (eKK/µKK events but not true signal events).

→ 2D cut on  $E^{CM}_{\Phi}$  vs  $E^{CM}_{lep}$ : ' $E^{CM}_{\phi} > -1 * E^{CM}_{lep} + 5.2$ ', reduces background by a factor of ~ 2.



# Summary of the selection's results

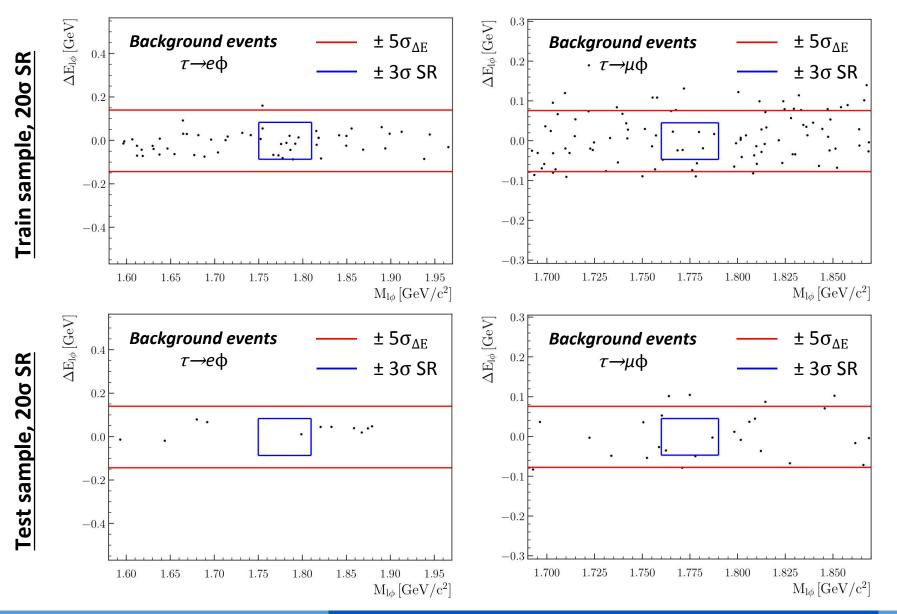
In the **test** sample, comparing efficiencies, remaining background yields and sensitivities at **1 ab**<sup>-1</sup> for both selections (20 and 3σ signal regions) and Belle's results (3σ SR only, 854 fb<sup>-1</sup>, *https://arxiv.org/abs/1101.0755v5*).

<u>20σ SR</u>			τ→еф		τ→μφ		
		ε <sub>sig</sub> (%)	N <sub>BG</sub> (@ 1 ab <sup>-1</sup> )	F.O.M.	ε <sub>sig</sub> (%)	N <sub>BG</sub> (@ 1 ab <sup>-1</sup> )	F.O.M.
<i>Belle II</i> (MC)	Scan + BDT	3.01	1	0.0120	1.05	0	0.0070
	Cut-based	3.62	11	0.0075	5.77	25	0.0089

<u>3σ SR</u>			τ→еф		τ→μφ		
		ε <sub>sig</sub> (%)	N <sub>BG</sub> (@ 1 ab <sup>-1</sup> )	F.O.M.	ε <sub>sig</sub> (%)	N <sub>BG</sub> (@ 1 ab <sup>-1</sup> )	F.O.M.
<i>Belle</i> (data)		4.18	0.55	0.0186	3.21	0.07	0.0182
Belle II (MC)	Scan + BDT	2.91	0	0.0194	0.98	0	0.0065
	Cut-based	3.49	1	0.0139	5.28	2	0.0181

- <u>20σ SR</u>: Scan+BDT more beneficial than cut-based in electronic mode, while the opposite in muonic mode.
- <u>3σ SR</u>: Results sensitive to fluctuations, background yields not yet comparable between Belle (fit) and Belle II.

# **Background estimation strategy after selection**



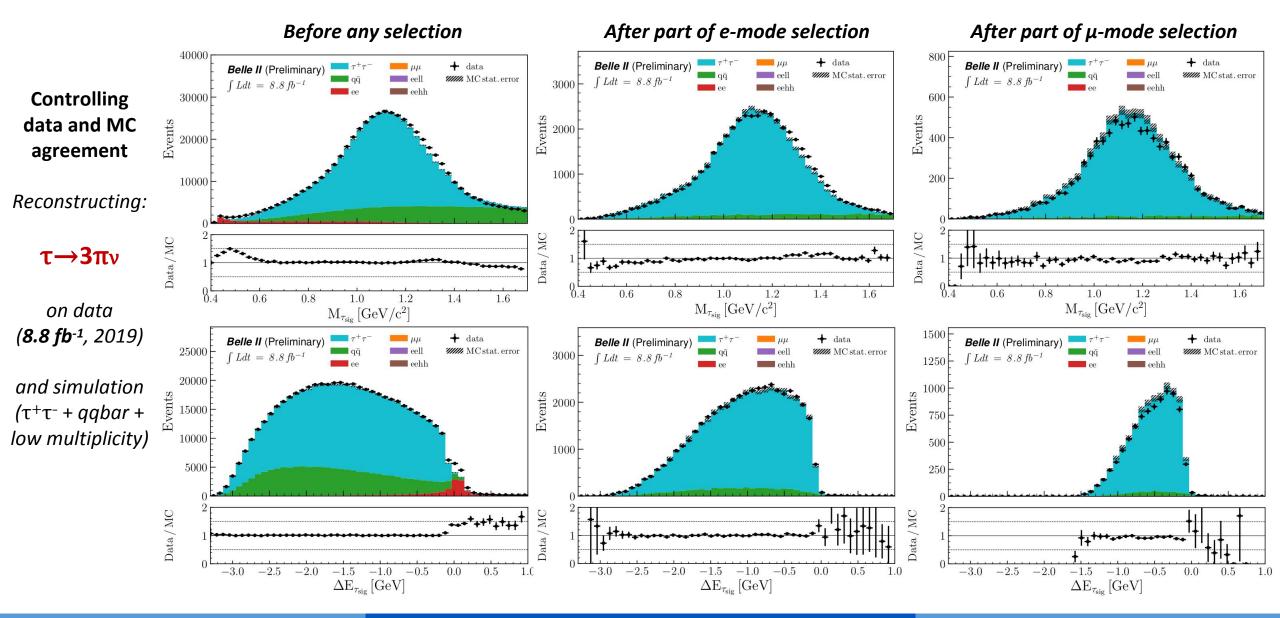
Selection applied here: cut-based

### Following Belle's study:

- Blinding the signal region (3σ), here in blue.
- Constraining the  $\Delta E_{I\Phi}$  range to  $\pm 5\sigma_{\Delta E}$  (red).
- Fitting the M<sub>ID</sub> background distribution and interpolating to the signal region.

Remaining background seems to be homogeneously distributed in the  $\pm 5\sigma_{\Delta E}$  range according to the train sample.

# Data-MC comparison: $\tau \rightarrow 3\pi \nu$ control channel



# Data-MC comparison: $\tau \rightarrow \pi KKv$ control channel

Before any selection After part of e-mode selection After part of  $\mu$ -mode selection Belle II (Preliminary) + data Belle II (Preliminary) 🕇 data + data Belle II (Preliminary) MC stat. error MC stat. error MC stat. error 300 125000  $\int Ldt = 62.8 \ fb^{-1}$  $\int Ldt = 62.8 \, fb^{-1}$  $\int Ldt = 62.8 \, fb^{-1}$ 300 Controlling 100000 Events 500 Events 500 Events data and MC 75000 agreement 50000 100 100 25000*Reconstructing:* Data / MC Data/MCData / MC  $\tau \rightarrow \pi K K \nu$ (πφν) 1.0 1.8 6 1.21.61.82.0**Y.O** 1.21.4 1.65 1.4  $M_{\tau_{sig}} \left[ GeV/c^2 \right]$  $M_{\tau_{sig}} \left[ GeV/c^2 \right]$  $M_{\tau_{sig}} \left[ GeV/c^2 \right]$ 400 200 50000 🕂 data 🕂 data on data Belle II (Preliminary) Belle II (Preliminary) 🕇 data Belle II (Preliminary MC stat. error MC stat. error MC stat. error  $\int Ldt = 62.8 \, fb^{-1}$  $= 62.8 \ fb^{-1}$  $\int Ldt = 62.8 \ fb^{-1}$ f Ldt (62.8 fb<sup>-1</sup>, 2019 eehh 40000 300 150+ 1st semester 20000 Events Events 100 Events 2002020) 20000 50 100 10000 and simulation  $(\tau^+\tau^- + qqbar +$ Data/MCMC Data / MC low multiplicity) ┿<sub>┙</sub>┿<sub>┙</sub>┿<sub>┙</sub>┿<sub>┿</sub>┿<sup>┿</sup>┿<sup>┿</sup>┿<sup>┿</sup>┿<sup>┿</sup>┿<sup>┿</sup> Data  $\frac{0}{-2.5}$ -3-22  $^{-1}$ 0 3 -0.50.0 -2.0-2.0-1.5-1.0-0.5-2.5-1.5-1.0 $\Delta E_{\tau_{\rm sig}} \, [{\rm GeV}]$  $\Delta E_{\tau_{sig}} [GeV]$ 

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 $\Delta E_{\tau_{sig}}$  [GeV]

0.0

2.0

# Summary and prospects

- The standard model, although quite effective for describing interactions between particles, doesn't explain all the physical phenomena we observe, hence the need for new physics models.
- Some of those models imply lepton flavour violation in tau or muon decays, for example τ→lφ. We study this channel at the Belle II experiment, among others.
- After devising a background suppression strategy that involves cut-based selections and BDTs, we measure signal sensitivities on simulation that are close to the ones in data from the previous Belle experiment.
- Data-MC comparison using the  $\tau \rightarrow 3\pi v$  control channel shows a good agreement, while we observe from the  $\tau \rightarrow \pi KKv$  control channel that the simulation is lacking, with probably some corrections that also need to be applied.
- The study will be redone with an updated version of the simulation.
- Soon, we intend to proceed with the estimation of the expected limits on the branching fractions.

# Thank you for your attention!





























# **Samples and reconstruction**

# **Samples**

# $\tau \rightarrow l\phi$ samples: MC13a BGx1 (500K events each)

- $\tau$ - $\rightarrow$ e- $\phi$ , event type: 3420930002
- $\tau^+ \rightarrow e^+ \phi$ , event type: 3420930003
- $\tau \rightarrow \mu \phi$ , event type: 3420930008
- $\tau^+ \rightarrow \mu^+ \phi$ , event type: 3420930009

# Other samples: MC13a BGx1

- $\tau$ -pair, qqbar: 5 ab<sup>-1</sup>
- mumu, eeee, eemumu, eepp, eepipi, eeKK: 1 ab<sup>-1</sup>
- ee: 100 fb<sup>-1</sup>

## **Event requirements**

- Number of tracks in event = 4.
- $\phi \rightarrow K^+K^-$  with **0.95 < M<sub>\phi</sub> < <b>1.30** GeV.
- lepton/ $\phi$  and 1-prong in **opposite hemispheres** w.r.t. thrust axis.
- correctBremsBelle: multiplePhotons=True, minEnergy=0.02 GeV, angleThreshold=0.15 rad

# Track selections

# Electron:

- -3 < dz < 3 cm
- dr < 1 cm dr < 1 cm
- 0.8 < E/p < 1.2
  - E/p < 0.6</li>
    muonID > 0.9

Muon:

### Pion:

- -3 < dz < 3 cm
- dr < 1 cm
- E/p < 0.6
- muonID ≤ 0.9

# Kaon:

- -3 < dz < 3 cm
- dr < 1 cm
- thetaInCDCAcceptance
- nCDCHits > 20
- kaonID > 0.5

# Photon:

• -3 < dz < 3 cm

- E > 0.02 GeV
- -0.8660 < cosTheta < 0.9563
- clusterNHits > 1.5
- not from  $\pi^0$

### **Release**

release-05-02-00

# Sensitivities (Scan+BDT)

# Train sample (4 ab<sup>-1</sup>, 20σ region):

- $\frac{\text{Signal efficiency}}{2.98 \%} \rightarrow 23838 / (10^{6*}4/5)$
- <u>Remaining background</u>:
   2 (τ-pair) + 23 (qqbar)
- <u>F.O.M.</u> (at 1 ab<sup>-1</sup>): **0.0074 ± 0.0009**

# Test sample (1 ab<sup>-1</sup>, 20σ region):

- Signal efficiency:  $3.01 \% \rightarrow 6021 / (10^{6}/5)$
- <u>Remaining background</u>: <u>1 (qqbar)</u>
- <u>F.O.M.</u>: **0.00120 ± 0.0024**

# Test sample (1 ab<sup>-1</sup>, 3σ region):

- <u>Signal efficiency</u>:
   2.91 % → 5818 / (10<sup>6</sup>/5)
- <u>Remaining background</u>: 0
- <u>F.O.M.</u>: **0.0194 ± 0.0065**

### Train sample (4 ab<sup>-1</sup>, 20σ region):

- Signal efficiency:  $1.07 \% \rightarrow 8552 / (10^{6*}4/5)$
- <u>Remaining background</u>: 1 ( $\tau$ -pair) + 2 (qqbar)
- <u>F.O.M.</u> (at 1 ab<sup>-1</sup>): **0.0045 ± 0.0010**

## Test sample (1 ab<sup>-1</sup>, 20σ region):

- Signal efficiency:  $1.05 \% \rightarrow 2106 / (10^{6}/5)$
- <u>Remaining background</u>: 0
- <u>F.O.M.</u>: **0.0070 ± 0.0023**

### Test sample (1 ab<sup>-1</sup>, 3σ region):

- <u>Signal efficiency</u>:
   0.98 % → 1956 / (10<sup>6</sup>/5)
- <u>Remaining background</u>: 0
- <u>F.O.M.</u>: **0.0065 ± 0.0022**

# Sensitivities (Cut-based)

# Train sample (4 ab<sup>-1</sup>, 20σ region):

- $\frac{\text{Signal efficiency}}{3.63 \%} \rightarrow 29054 / (10^6*4/5)$
- Remaining background: 5 ( $\tau$ -pair) + 50 (qqbar)
- <u>F.O.M.</u> (at 1 ab<sup>-1</sup>): **0.0070 ± 0.007**

# Test sample (1 ab<sup>-1</sup>, 20σ region):

- <u>Signal efficiency</u>: <u>3.62 %</u> → 7230 / (10<sup>6</sup>/5)
- <u>Remaining background</u>:
   <u>3</u> (τ-pair) + 8 (qqbar)
- <u>F.O.M.</u>: **0.0075 ± 0.0008**

# Test sample (1 ab<sup>-1</sup>, 3σ region):

- Signal efficiency: 3.49 % → 6973 / (10<sup>6</sup>/5)
- <u>Remaining background</u>:
   <u>1</u> (qqbar)
- <u>F.O.M.</u>: **0.0139 ± 0.0028**

### Train sample (4 ab<sup>-1</sup>, 20σ region):

- Signal efficiency:  $5.72 \% \rightarrow 45782 / (10^{6*}4/5)$
- <u>Remaining background</u>:
   <u>13</u> (τ-pair) + 77 (qqbar)
- <u>F.O.M.</u> (at 1 ab<sup>-1</sup>): **0.0092 ± 0.0007**

### Test sample (1 ab<sup>-1</sup>, 20σ region):

- Signal efficiency: 5.77 %  $\rightarrow$  11539 / (10<sup>6</sup>/5)
- <u>Remaining background</u>:
   <u>6</u> (τ-pair) + <u>19</u> (qqbar)
- <u>F.O.M.</u>: **0.0089 ± 0.0007**

### Test sample (1 ab<sup>-1</sup>, 3σ region):

- <u>Signal efficiency</u>:
   <u>5.28 %</u> → 10558 / (10<sup>6</sup>/5)
- <u>Remaining background</u>:
   <u>1</u> (τ-pair) + <u>1</u> (qqbar)
- <u>F.O.M.</u>: **0.0181 ± 0.0031**