

# Exploring strangeness production and the phase diagram of nuclear matter

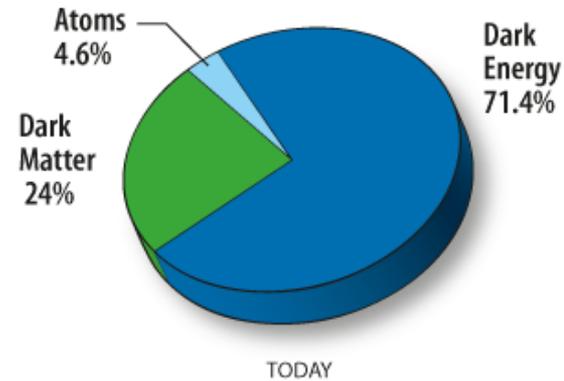
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**First DMLab Meeting: Scientific Kickoff**

**9.-10.12. 2021  
DESY**

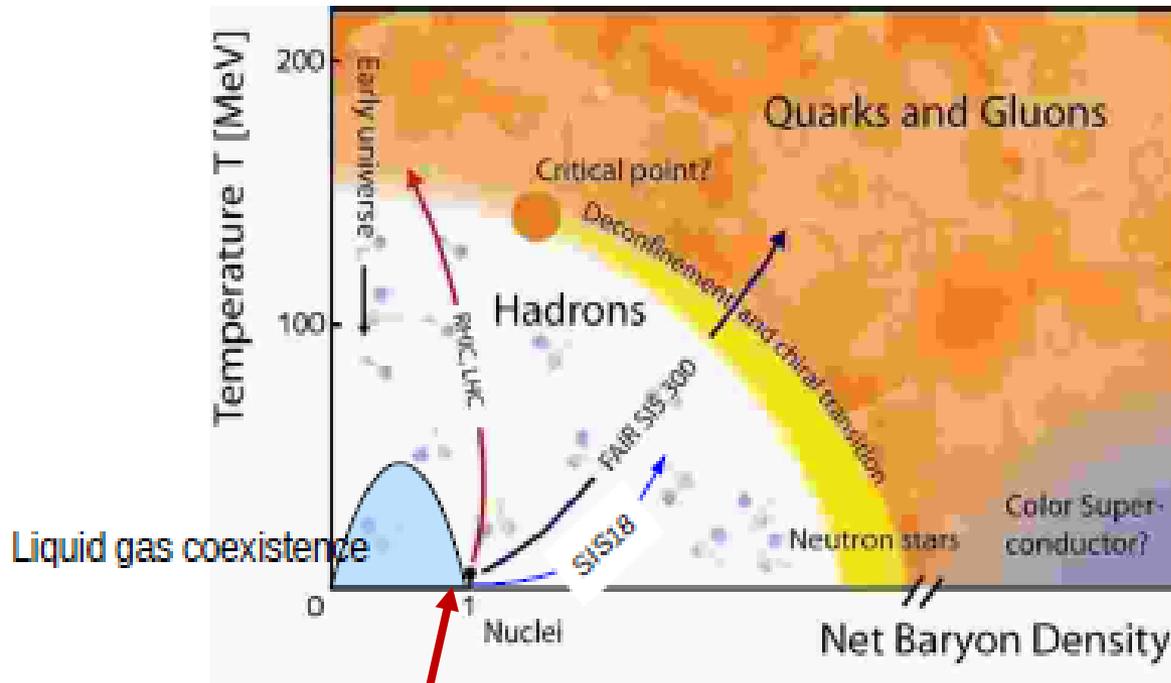
# Why strangeness is interesting?



- Ordinary matter (Standard Model)  $< 5\%$
- Strange matter:
  - In nature: in the core of neutron stars (?), strange stars(??)
  - In laboratory: can be produced in heavy-ion collision experiments
- Strange particle can be used as a probe for nonstrange matter → [Equation of State](#)
- Properties of strange particles are changed in nuclear medium (at high densities) → impact on understanding of [neutron stars](#)
- At high temperatures and densities in HICs → QGP creation
  - enhancement of production of strange quarks
  - useful probe for [Quark Gluon Plasma \(QGP\) studies](#)

# Strange particles and the nuclear equation of state

## Nuclear matter phase diagram (schematic)



**Only known point  
(Nucleons of our world)**

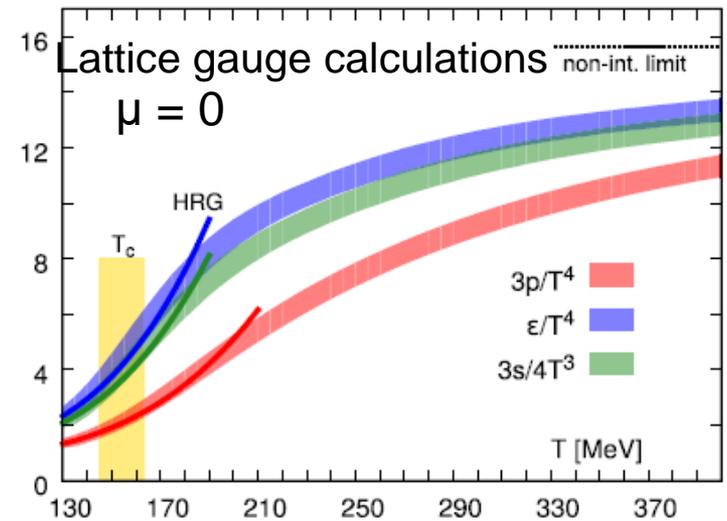
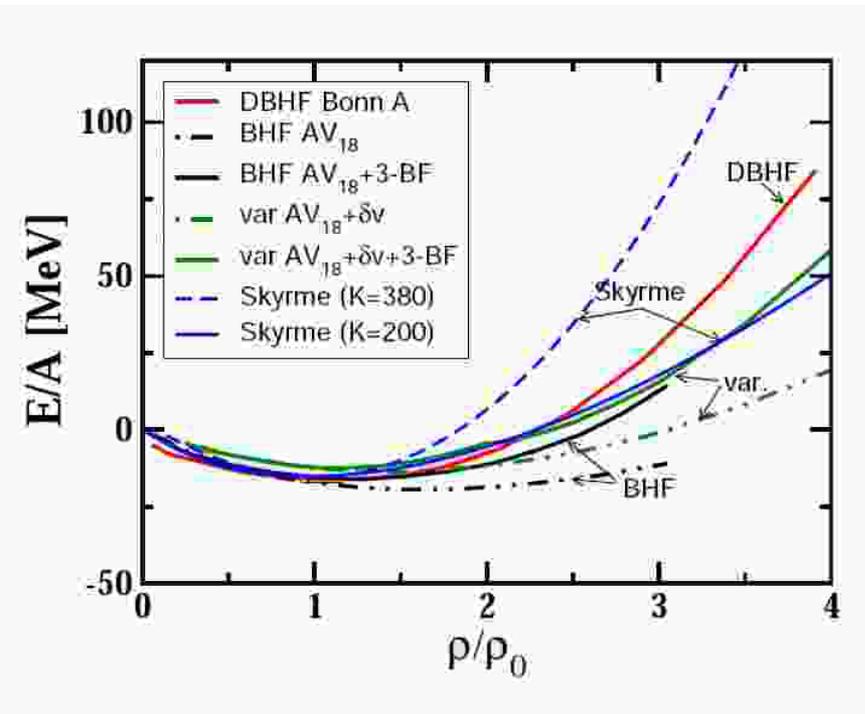
One searches for the Equation of State (EoS)  
 $P(T, \rho(\mu))$  or  $\varepsilon(T, \rho(\mu))$

# Nuclear equation of state (theory)

theory is limited to

to low temperature and  $\rho < 1.5 - 2\rho_0$   
 Brückner G –matrix  
 (hole line expansion )

high temperatures and  $\mu=0$   
 lattice gauge calculations

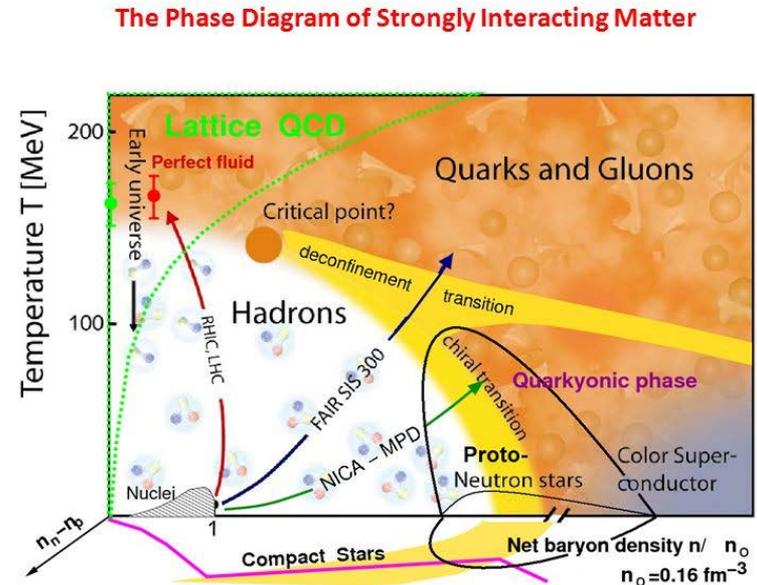


# Nuclear equation of state

- Experimentally one can explore the region of large  $(T, \mu)$  but the EoS is not an observable

Strategy:

- develop **transport approaches** which simulate the heavy ion collisions
- vary EoS** in the simulation
- identify **observables which are sensitive** to the EOS
- compare** experimental measurements with theory



Equation of State (EOS): relationship between Energy, Pressure, Temperature, Density and Isospin Asymmetry of Nuclear Matter

# Quantum Molecular Dynamics

Extended (time dependent) Ritz variational principle (Koonin, TDHF)

Take trial wavefct with time dependent parameters and solve

$$\delta \int_{t_1}^{t_2} dt \langle \psi(t) | i \frac{d}{dt} - H | \psi(t) \rangle = 0. \quad (1)$$

QMD: trial wavefct for particle i with  $p_{oi}(t)$  and  $q_{oi}(t)$

$$\psi_i(q_i, q_{oi}, p_{oi}) = C \exp[-(q_i - q_{oi} - \frac{p_{oi}}{m}t)^2 / 4L] \cdot \exp[ip_{oi}(q_i - q_{oi}) - i \frac{p_{oi}^2}{2m}t]$$

For N particles:  $\psi_N = \prod_{i=1}^N \psi_i(q_i, q_{oi}, p_{oi})$

For the QMD trial wavefct eq. (1) yields

$$\frac{dq}{dt} = \frac{\partial \langle H \rangle}{\partial p} \quad ; \quad \frac{dp}{dt} = - \frac{\partial \langle H \rangle}{\partial q}$$

For Gaussian wavefct eq. of motion very similar to Hamilton's eqs. (but only for Gaussians !!)

# Quantum Molecular Dynamics (QMD)

- nucleon-nucleon density dependent two body potential potential:

$$\begin{aligned}V^{ij} &= G^{ij} + V_{\text{Coul}}^{ij} \\ &= V_{\text{Skyrme}}^{ij} + V_{\text{Yuk}}^{ij} + V_{\text{mdi}}^{ij} + V_{\text{Coul}}^{ij} + V_{\text{sym}}^{ij} \\ &= t_1 \delta(\vec{x}_i - \vec{x}_j) + t_2 \delta(\vec{x}_i - \vec{x}_j) \rho^{\gamma-1}(\vec{x}_i) + t_3 \frac{\exp\{-|\vec{x}_i - \vec{x}_j|/\mu\}}{|\vec{x}_i - \vec{x}_j|/\mu} + \\ &\quad t_4 \ln^2(1 + t_5 (\vec{p}_i - \vec{p}_j)^2) \delta(\vec{x}_i - \vec{x}_j) + \frac{Z_i Z_j e^2}{|\vec{x}_i - \vec{x}_j|} + \\ &\quad t_6 \frac{1}{\rho_0} T_3^i T_3^j \delta(\vec{r}_i - \vec{r}_j)\end{aligned}$$

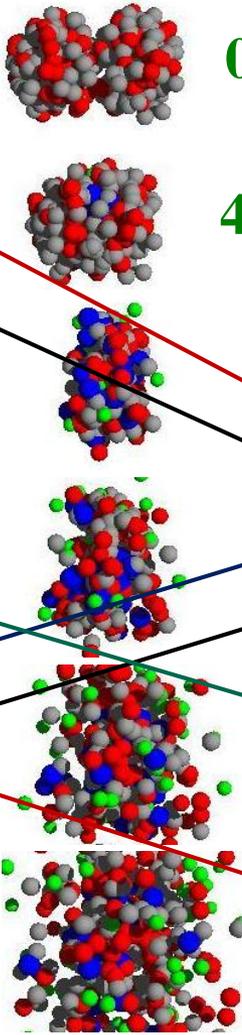
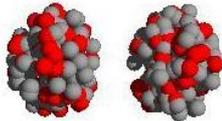
$t_1 - t_4$  depend on the EoS

$t_4$  contains the momentum dependence of the potential

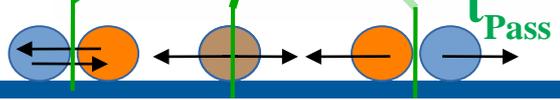
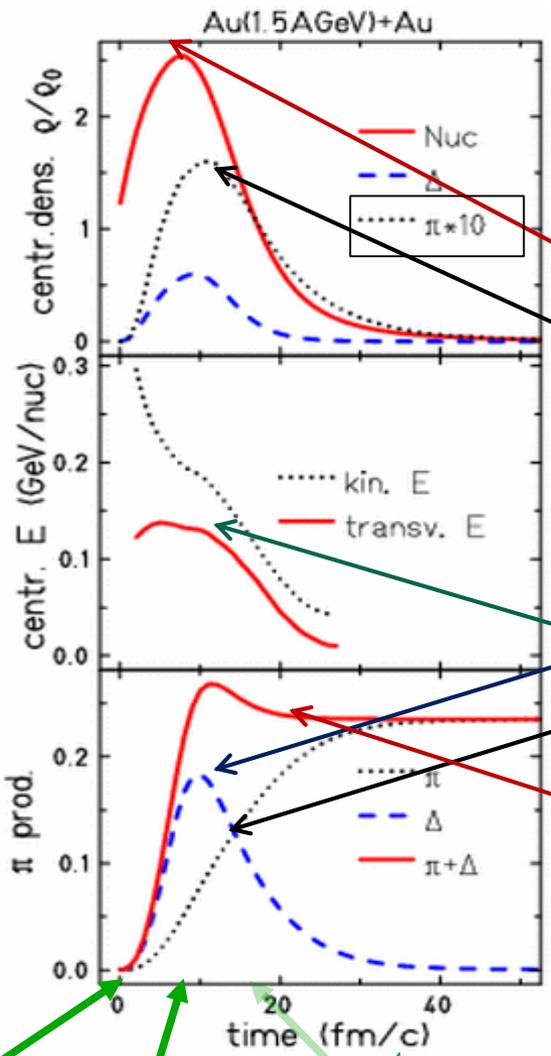
- In addition cross sections: NN elastic,  $NN \leftrightarrow N\Delta$ ,  $\Delta \rightarrow N\pi$



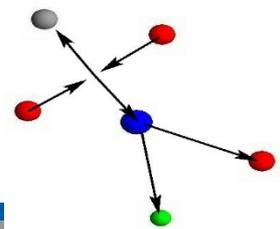
# Time evolution



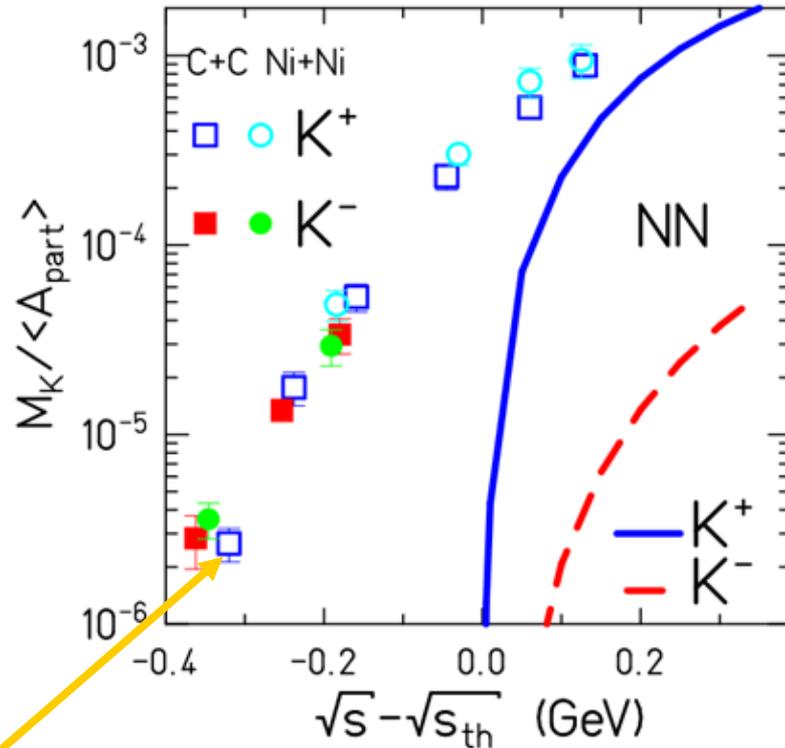
- 0 fm/c : start of the reaction**
- 4 fm/c : raise of resonance prod.**
- 8 fm/c: max. central  $\rho(\text{nuc.})$**
- 10 fm/c max central  $\rho(\pi)$**
- 12 fm/c: max number of  $\Delta$**
- 14 fm/c:  $\pi$  dominate over  $\Delta$**
- 16-20 fm/c: nucleon spectra become 'thermal'**
- 20 fm/c:  $\pi$  number stabilizes**



Proton  
Neutron  
Delta  
Pion



# Strangeness and the nuclear equation of state



$\square$  AA collisions:  
experimental observation of  $K^+, K^-$   
production below the NN-threshold

- NN: Excitation function of  $K^+$  and  $K^-$  quite different
- AA: Excitation function of  $K^+$  and  $K^-$  quite similar
- Fermi motion cannot explain very subthreshold production
- Conclusion  
AA: new mechanisms for strangeness production

# Near threshold strangeness production in AA

## I. Strangeness production channels at low energies

- baryon-baryon collisions:



$$K = (K, K^0)$$

$$\bar{K} = (K^-, \bar{K}^0)$$

$$B = (N, \Delta, \dots)$$

$$Y = (\Lambda, \Sigma)$$



- meson-baryon collisions:



dominant channel for low energy  $K^-$  production!

- meson-meson collisions:

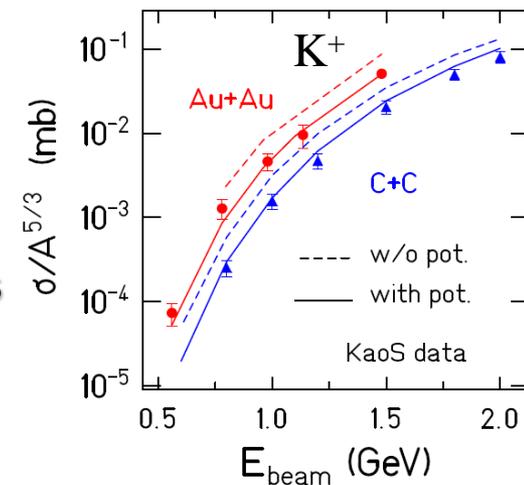
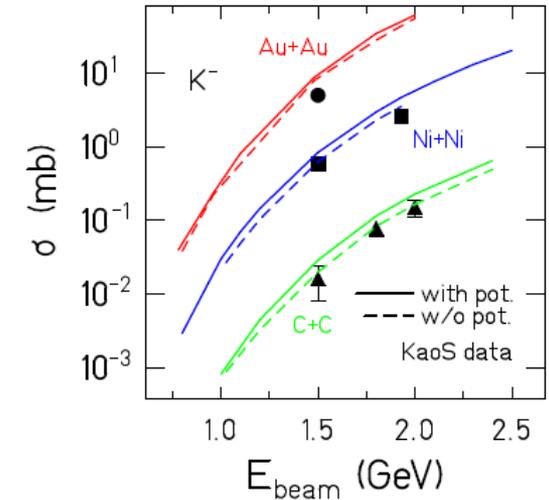


- resonance decays:  $K^* \rightarrow \pi + K, \dots, \phi \rightarrow K + \bar{K}$   
 $\dots,$

## II. Strangeness rescattering

= (quasi-)elastic scattering with baryons and mesons

The production cross sections and self-energies of  $K, \bar{K}$  are modified in the nuclei medium!



# Origin of the different excitation functions

Dominant for  $K^+$  in AA: **Two step process**  $NN \rightarrow N\Delta$   $N\Delta \rightarrow K^+\Lambda N$

lowers the effective threshold  
enhances  $K^+$  below NN threshold

two step process more probable in central collision

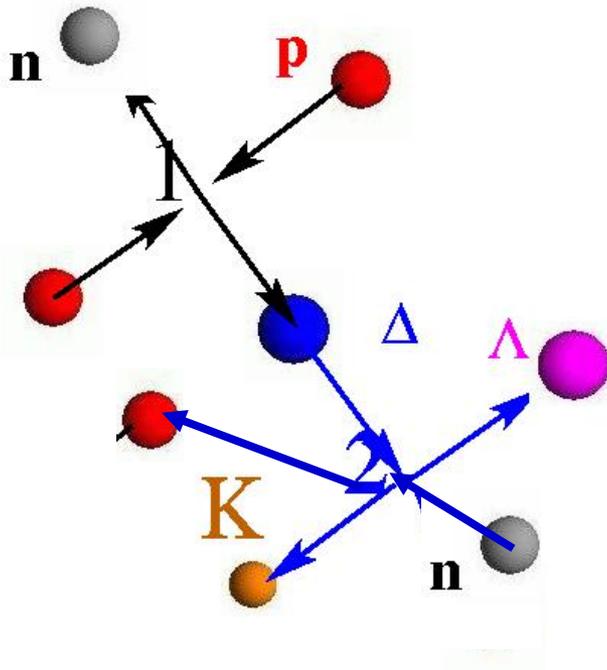
Theory and simulations:

soft EoS: system gets to higher densities  
 $\rightarrow$  mean free path for  $N\Delta \rightarrow K^+\Lambda N$  shorter

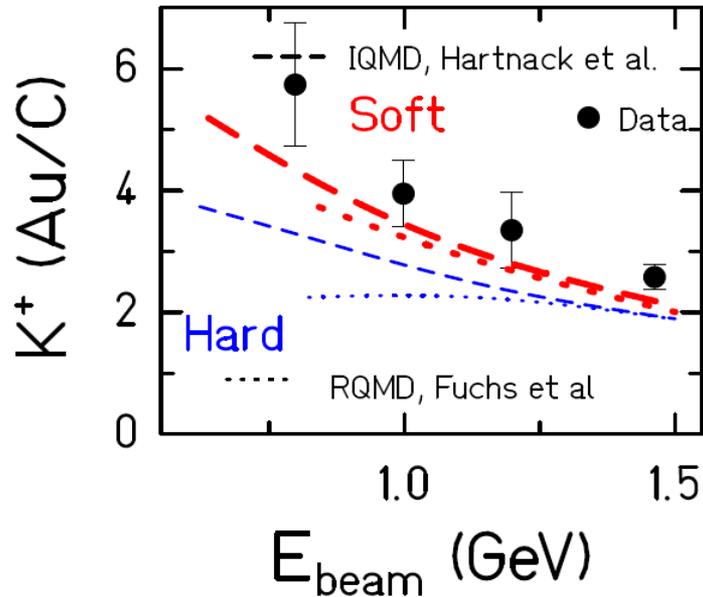
$K^+\Lambda N$  competes with  $\Delta$  decay

$\rightarrow$  for a soft EOS we expect more  $N\Delta \rightarrow K^+\Lambda N$  collisions

and hence more  $K^+$



# Strangeness production and the nuclear EoS



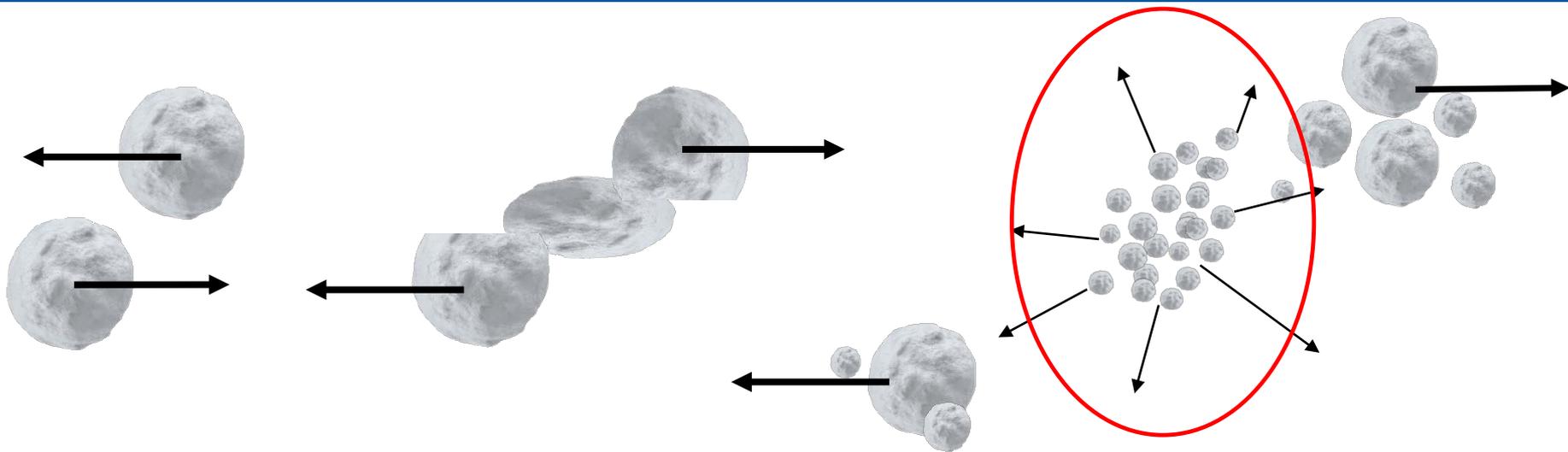
Comparison with experiment

- confirms the EoS dependence of  $K^+$  yield
- **soft EoS: best agreement with data**

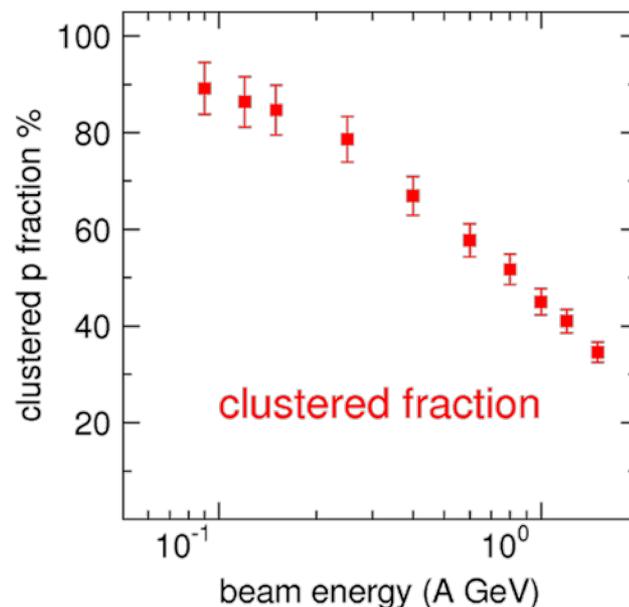
Up to today the observable  
which shows the strongest EoS dependence

- Perspectives: FAIR and NICA (Russia) have higher beam energies  
excitation functions of  $\Xi$  and  $\Omega$  become available  
sensitive probes for studying the reaction mechanism

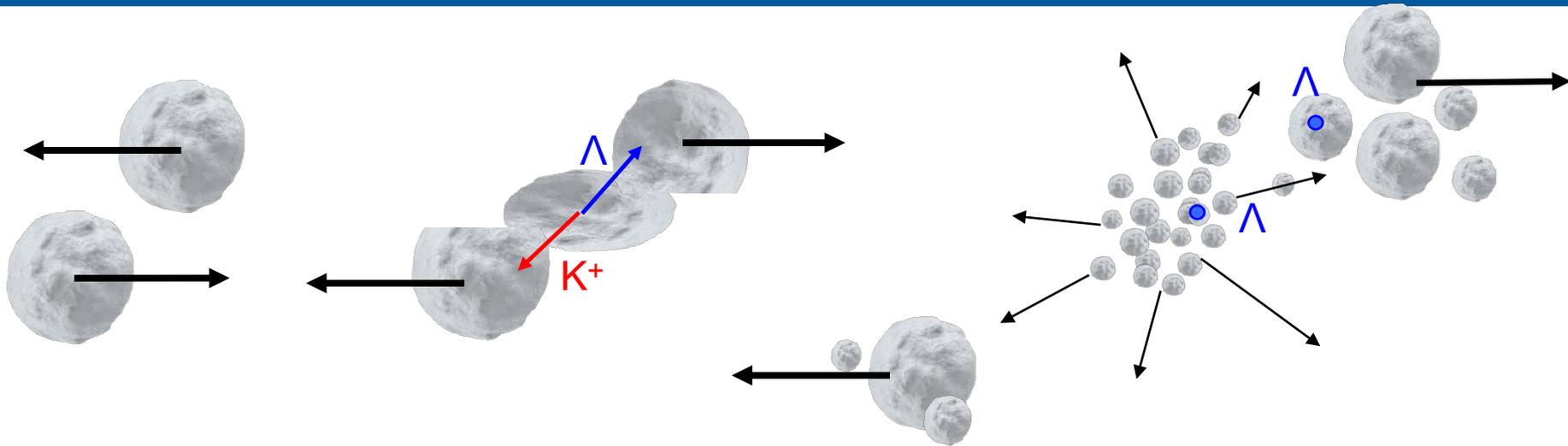
# Cluster formation in heavy ion collisions



- cluster production influences phase space distributions of all baryons
- clusters are less disturbed by „thermal noise“
  - stronger flow patterns than protons
  - more sensitive tool to study potential effects
- complete dynamical description needed

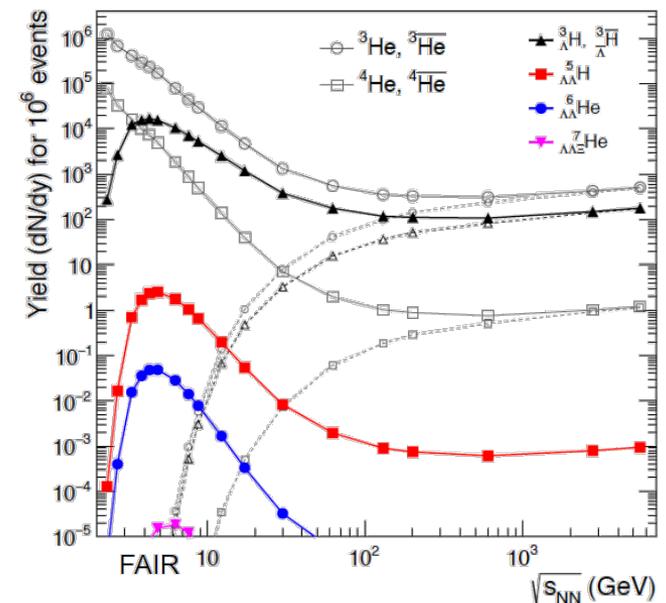


# Hyper nuclei formation in heavy ion collisions



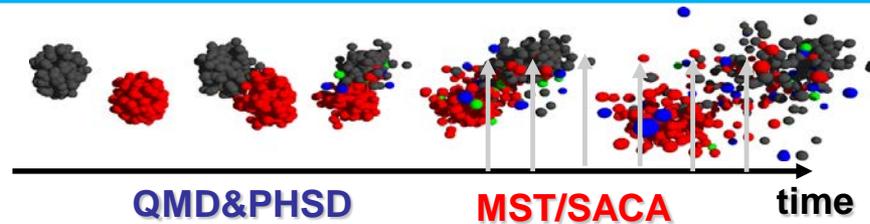
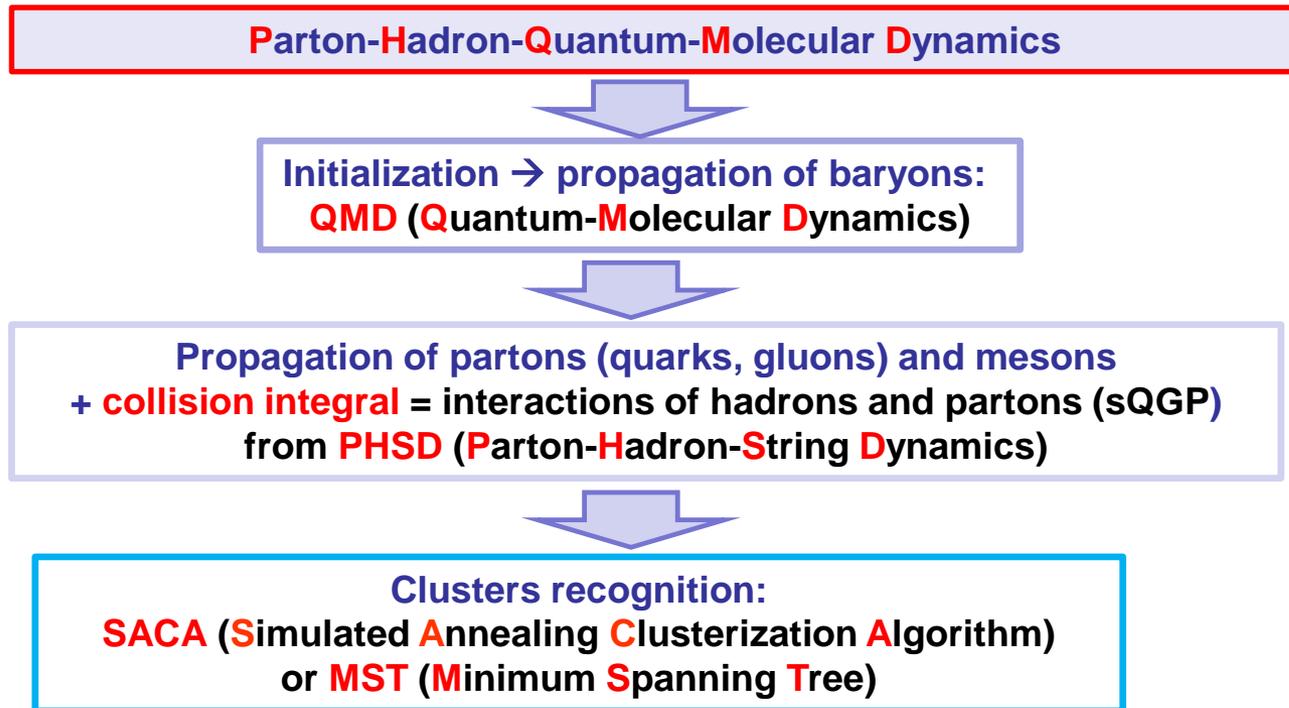
- access to the third dimension of the nuclear chart (strangeness)
- information on **hyperon-nucleon and hyperon-hyperon interactions**
- important e.g. for **neutron stars** (production of hypermatter at high density and low temperature)
- new field of **hyperon spectroscopy**
- Study of the **interface between spectators and participants**

Thermal model predictions (A. Andronic)





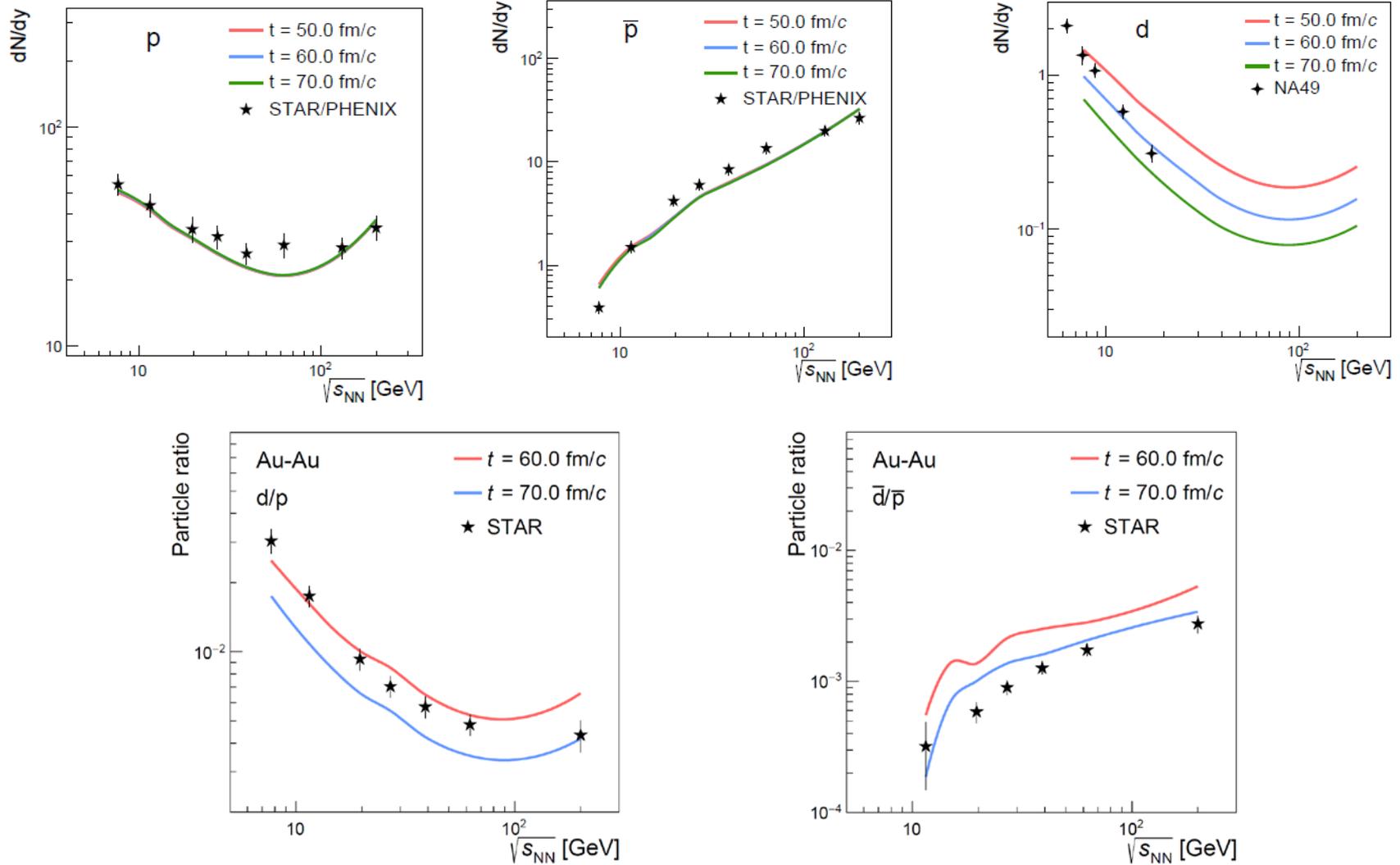
**PHQMD:** a unified n-body microscopic transport approach for the description of heavy-ion collisions and **dynamical cluster formation** from low to ultra-relativistic energies  
**Realization:** combined model **PHQMD = (PHSD & QMD) & (MST/SACA)**



PHQMD: J. Aichelin et al.,  
 PRC 101 (2020) 044905  
 & arXiv:1907.03860

PHSD:  
 W. Cassing,  
 E. Bratkovskaya,  
 PRC 78 (2008) 034919;  
 NPA831 (2009) 215;  
 W. Cassing,  
 EPJ ST 168 (2009) 3  
 P. Moreau et al.,  
 PRC100 (2019) 014911

# Excitation function of multiplicity of $p, \bar{p}, d, \bar{d}$



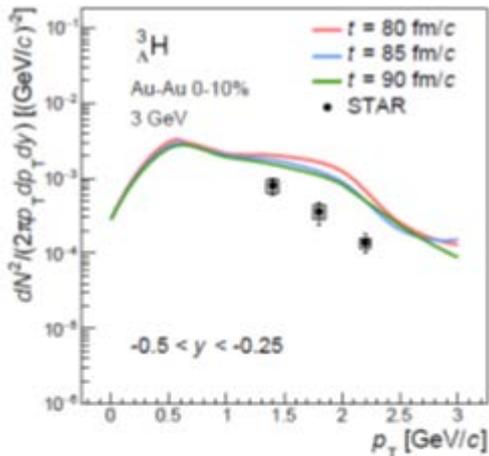
The  $p, \bar{p}$  yields at  $y \sim 0$  are stable, the  $d, \bar{d}$  yields are best described at  $t = 60-70$  fm/c

# Hypernuclei from PHQMD

The PHQMD comparison with most recent STAR

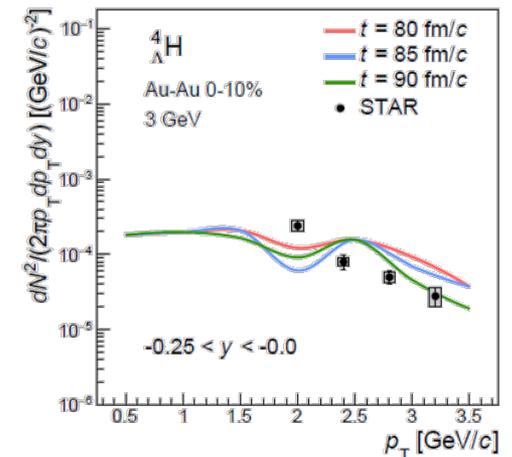
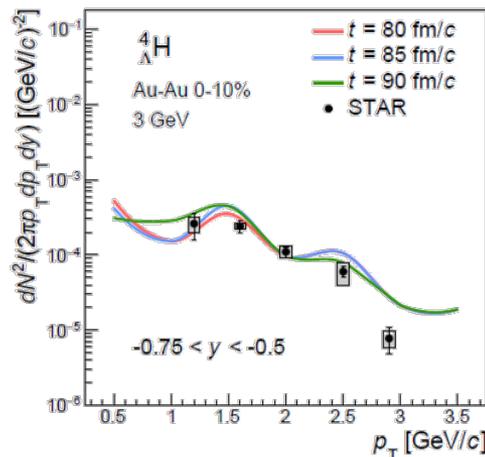
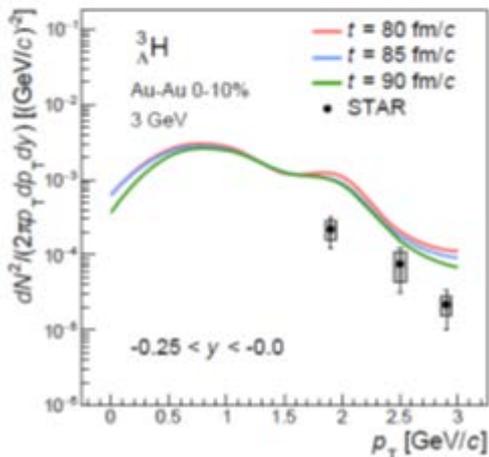
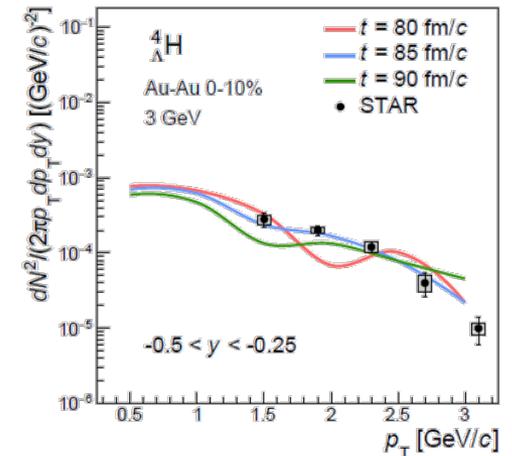
fixed target  $p_T$  distribution of  ${}^3\text{H}_\Lambda$ ,  ${}^4\text{H}_\Lambda$  from Au+Au central collisions at  $\sqrt{s} = 3$  GeV

- Assumption on nucleon-hyperon potential:  $V_{N\Lambda} = 2/3 V_{NN}$



Star data preliminary

Good description in view of these very complex hypernuclei



# Present challenges

Extension of the EoS to finite  $\mu, T$  ( $\rightarrow$  gravitational wave studies)

effective field theory   Polyakov Nambu Jona Lasinio

Dynamical Quasi Particle Model

Simulate a first order phase transition in a finite system

$\Lambda$ -N Potential depends strongly on the nuclear density

G-matrix calculations

has to be considered for predictions of hypernuclei

Heavy mesons (with c and b quarks) and jets

# How the DMLab can help

Strangeness in HIC is a common project between 3 labs:  
SUBATECH (Nantes), GSI (Darmstadt), JINR (Dubna)

What would help:

- medium term visits (1 month) of postdocs and PhD students
- short term visits (1 week) of senior, PhD students, postdocs
- eventually 6 month stay for senior scientist at GSI

We started the new project - **search of dark matter in heavy ion collisions**:  
to study how dark matter can be produced in heavy ion collisions and  
detected in HIC experiments (dark photons - PRD104,2021,015008)

➔ an exchange with other theoretical and experimental groups working  
on dark matter studies would be very useful

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Thank you