

First low latitudes reconstruction of the dust **polarization** Spectral Energy Distribution variation

Alessia Ritacco, François Boulanger, Jean-Marc Delouis, Jean-Loup Puget



Osservatorio
Astronomico
di Cagliari

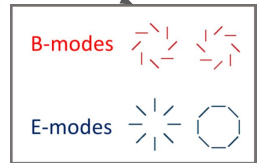
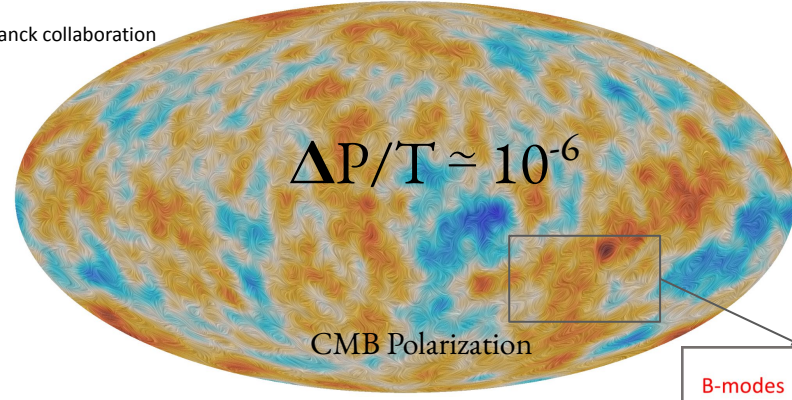
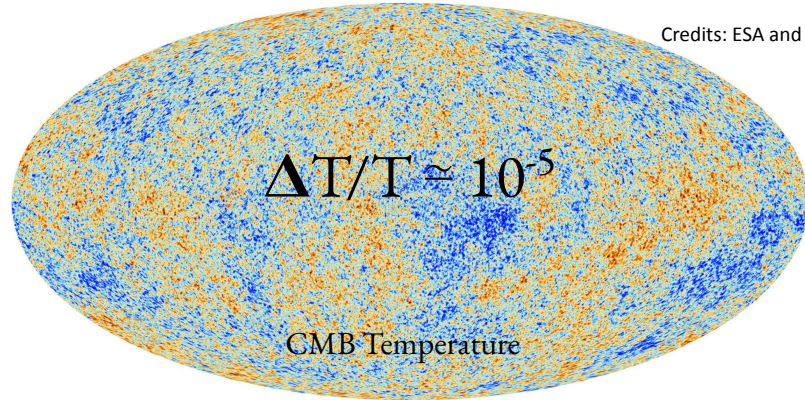


Outline

- Scientific context
- Dust variation maps in polarization
- Cross power spectra analysis
- Polarization dust SED extrapolation
- Conclusions and perspectives

Primordial Universe probe

The Cosmic Microwave Background

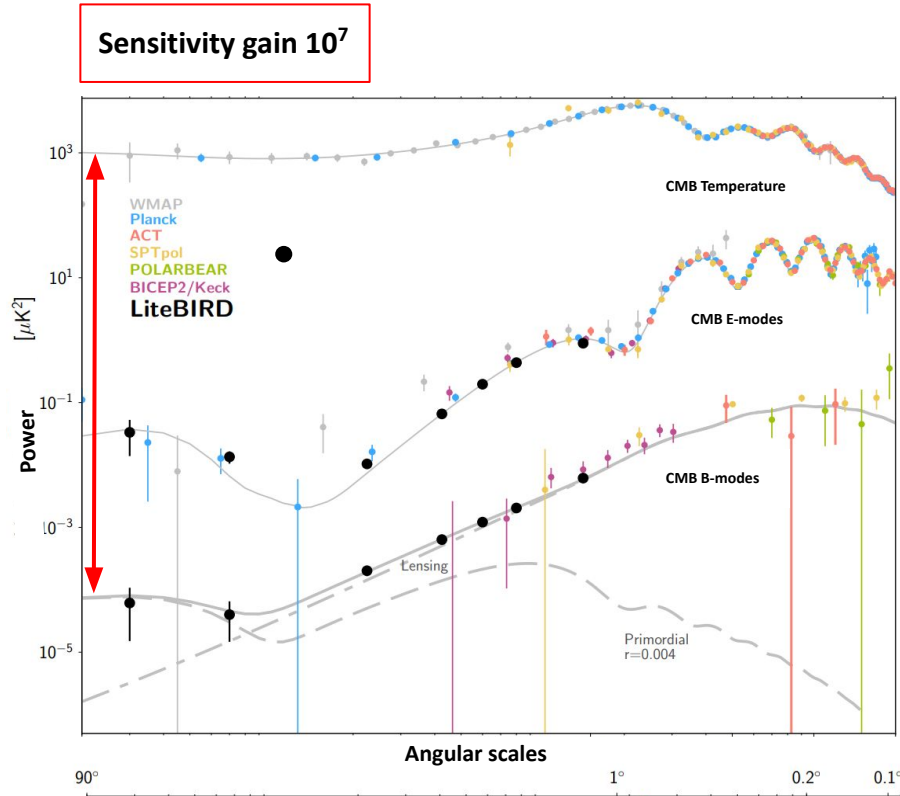


CMB polarization patterns can be expressed:
E-modes, of even parity, and the **B-modes**.

B-modes can only be produced by primordial gravitational waves in the early universe.

If detected, will probe the existence of the inflation and give us access to a physics beyond the current Standard Model.

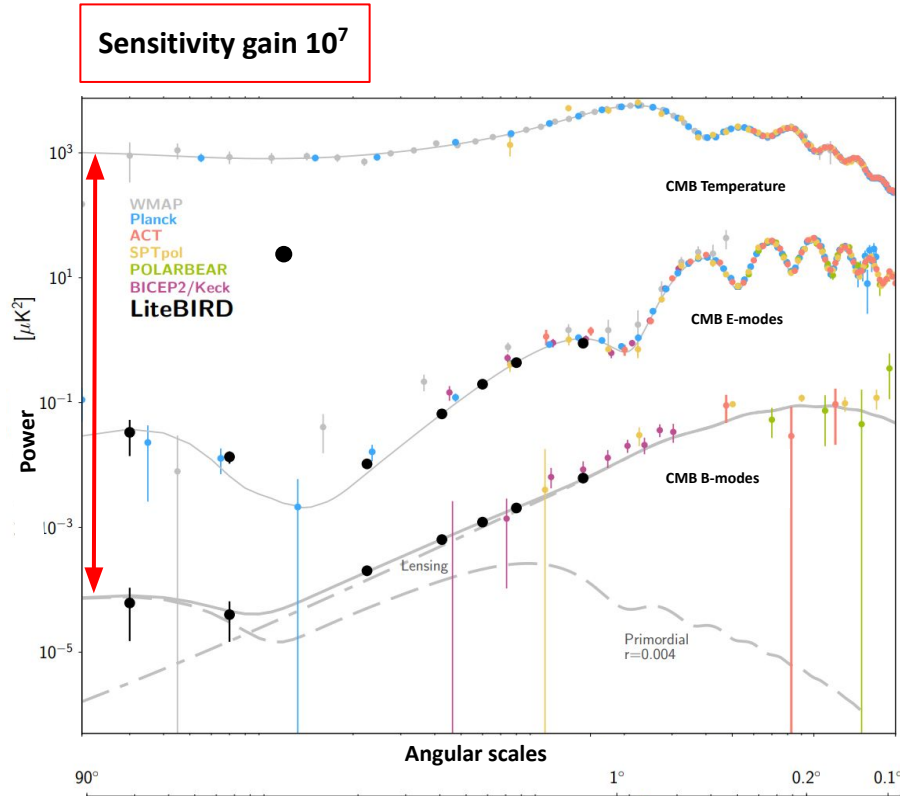
Challenges for the CMB B-modes detection



- Big arrays of high sensitive detectors to increase SNR
- Instrumental systematic effects control
- Absolute calibration of the polarization angle
- Accurate component separation of foreground emissions

Hazumi et al. 2020 Proc. of SPIE

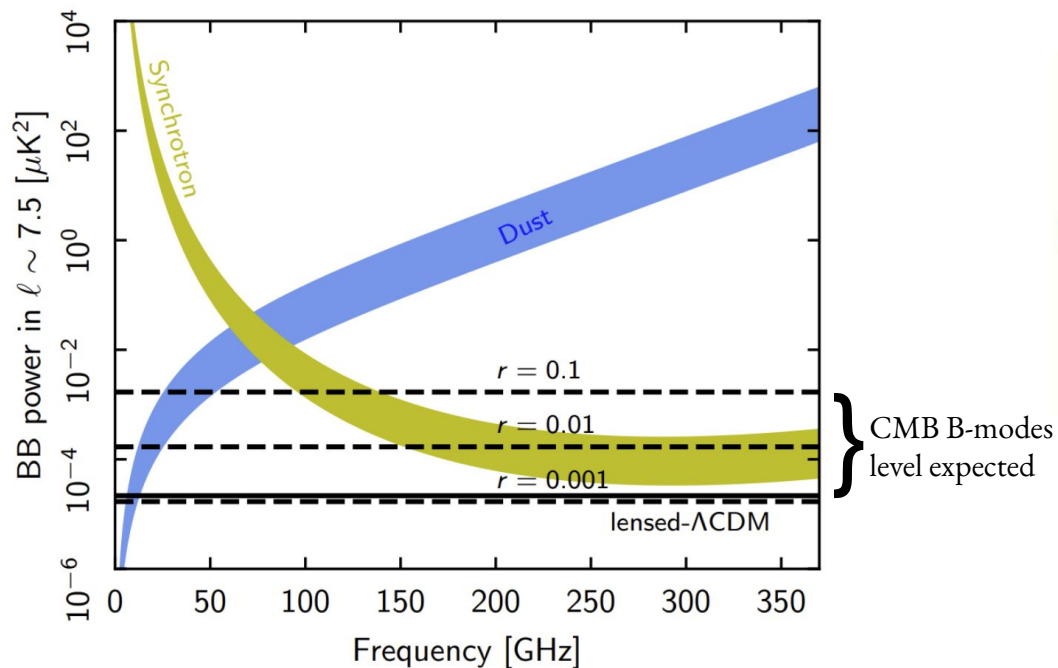
Challenges for the CMB B-modes detection



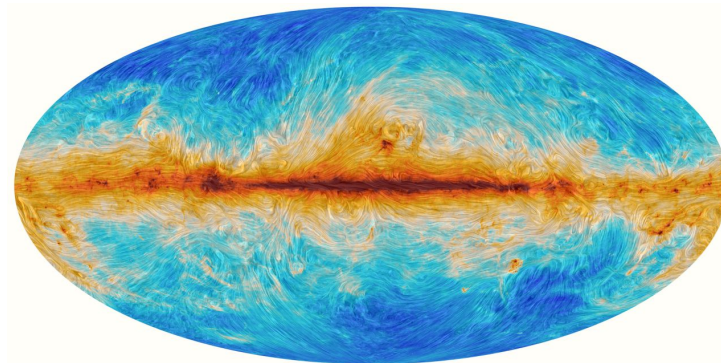
- Big arrays of high sensitive detectors to increase SNR
- Instrumental systematic effects control
- Absolute calibration of the polarization angle
- **Accurate component separation of foreground emissions**

Hazumi et al. 2020 Proc. of SPIE

CMB polarization B-modes detection foreground challenge



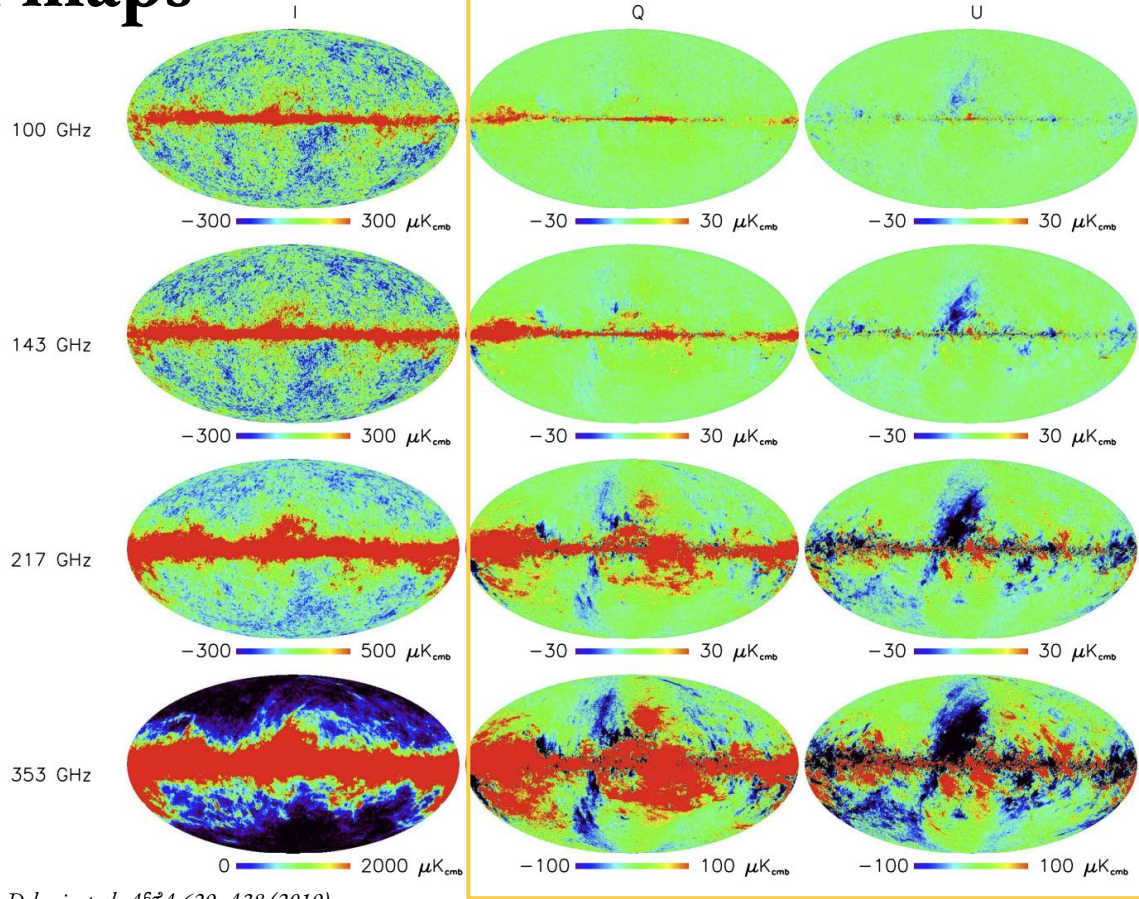
Planck Dust intensity with MF @353 GHz



Polarization and total intensity SED difference suggests that there might be **spatial variation SEDs**. (Planck 2018 XI)

Planck HFI maps

Sroll2 release



Delouis et al. A&A 629, A38 (2019)

Dust polarization Spectral Energy Distribution variations

mathematical definitions

Dust emission

$$D_{\nu}(\eta) = \frac{S_p(\nu)}{S_p(\nu_0)} \left(D_{\nu_0}(\eta) + \omega_{\beta}(\eta) \ln \frac{\nu}{\nu_0} + \omega_T(\eta) \times [\Theta_{\nu}(T_0) - \Theta_{\nu_0}(T_0)] \right)$$

Moment exp.
1st order β

Moment exp.
1st order T

where

$$\Theta_{\nu}(T_0) = \frac{x}{T_0} \frac{e^x}{e^x - 1} \quad x = \frac{h\nu}{k_B T_0}$$

Cbluba et al. MNRAS 472, 1195–1213 (2017)
Mangilli et al. A&A 647, A52 (2021)

The mean polarization SED is accounted for in:

$$\gamma(\nu) = \frac{D_{\nu} * D_{\nu_0}}{D_{\nu_0}^2} \quad \frac{S_p(\nu)}{S_p(\nu_0)} = \gamma(\nu) + \delta\gamma(\nu)$$

with $\left| \frac{\delta\gamma_{\nu}}{\gamma_{\nu}} \right| \ll 1$

$\delta\gamma(\nu)$ is not zero if there is a frequency decorrelation

$D_{\nu} = Q_{\nu}$ or U_{ν}
SED Q and U might differ
 ν : 100, 143, 217, 353 GHz
with $\nu_0 = 353$ GHz
 $T_0 = 19.6$ K
 η : sky vector

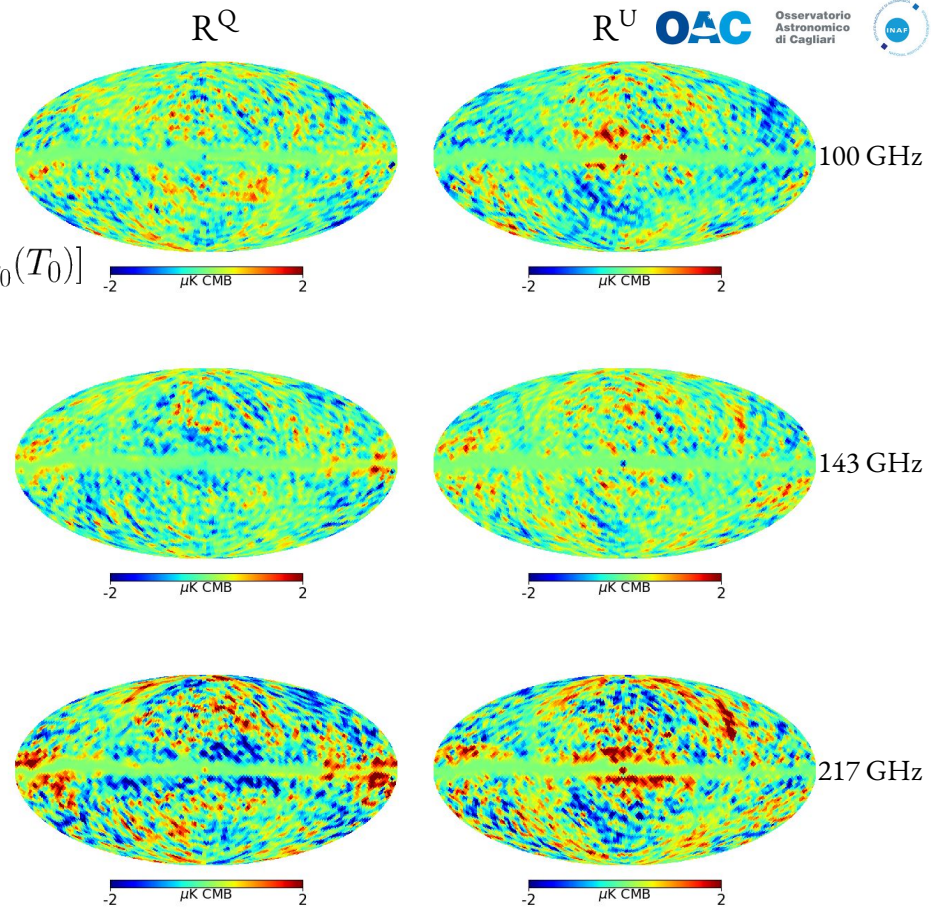
Residual dust maps

$$R_\nu(\eta) = D_\nu(\eta) - \gamma(\nu)D_{\nu_0}(\eta)$$

$$= \delta\gamma(\nu)D_{\nu_0}(\eta) + \omega_\beta(\eta)\gamma_\nu \ln \frac{\nu}{\nu_0} + \omega_T(\eta)\gamma_\nu [\Theta_\nu(T_0) - \Theta_{\nu_0}(T_0)]$$

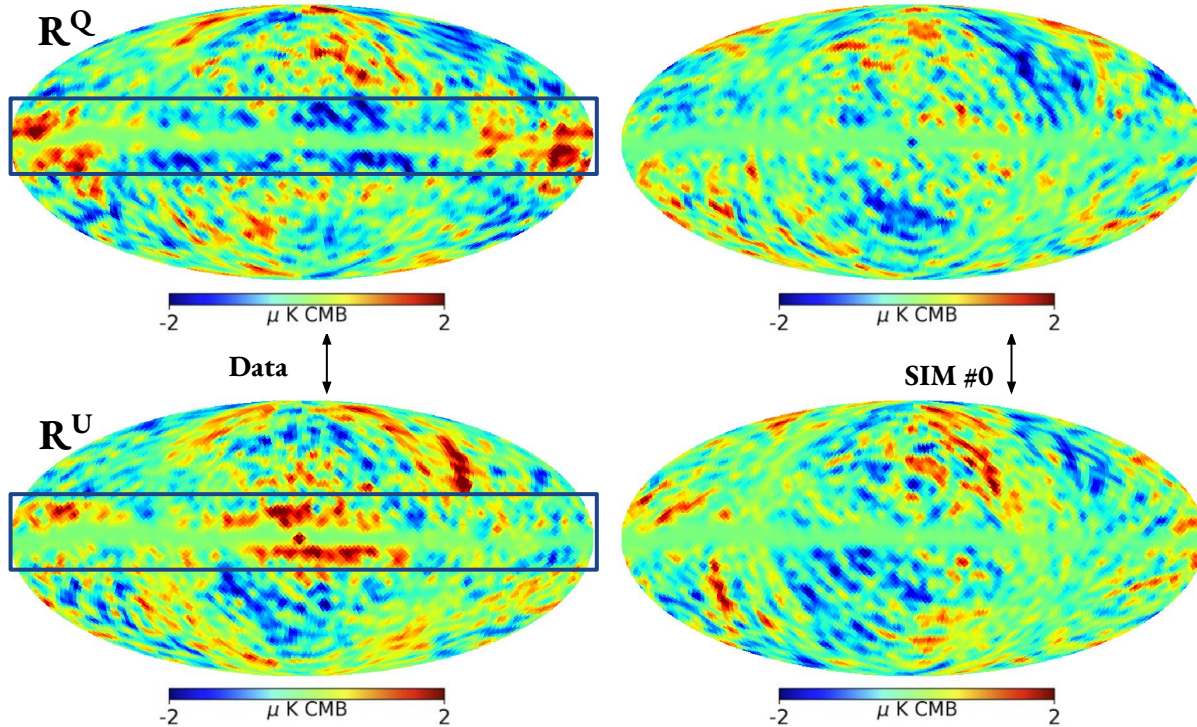
- Synchrotron emission is extrapolated and subtracted at 100 and 143 GHz
- $\gamma(\nu)$ is estimated in a given mask
- Planck HFI Scroll2.0 release used
- Fraction of the sky 90%
- $N_{\text{side}}=32$

SED variations increase their significance with frequency



Residual dust maps

217 GHz
fsky 90%



Most of the variation comes from the regions close to the mask threshold

Extrapolating dust SED variation from Temp to Polar

Planck's law with T, τ, β GNILC maps

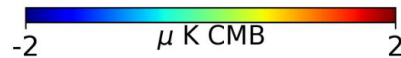
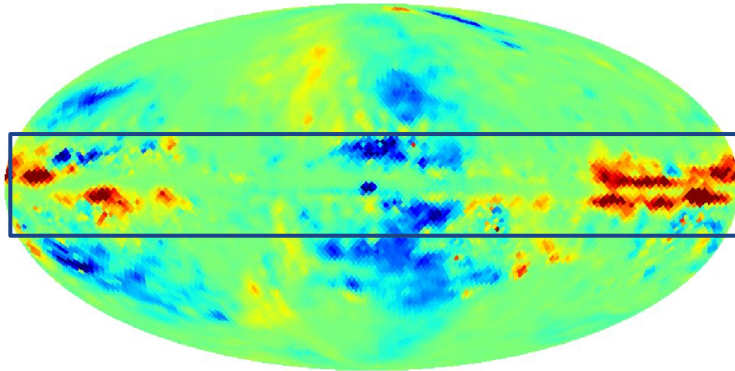
$$B_\nu(T, \tau, \beta) = \tau \frac{2h\nu^3}{c^2 \left(e^{\frac{h\nu}{k_B T}} - 1 \right)} \left(\frac{\nu}{\nu_0} \right)^\beta$$



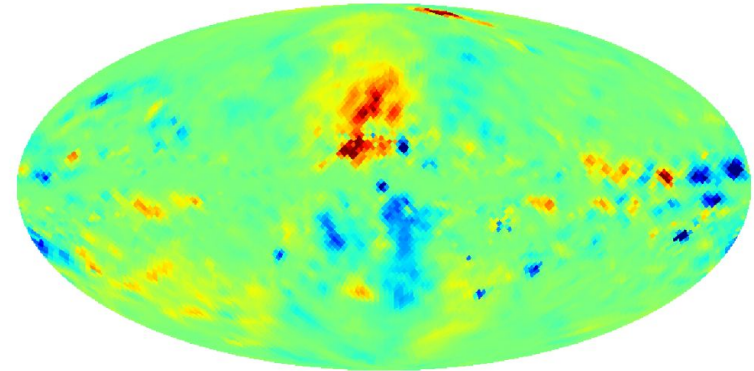
$$\Delta D_\nu(Q) = (B_\nu - B_{\nu_0}) \frac{Q}{I}(\nu_0)$$

same for U

Δ Dust Q from GNILC



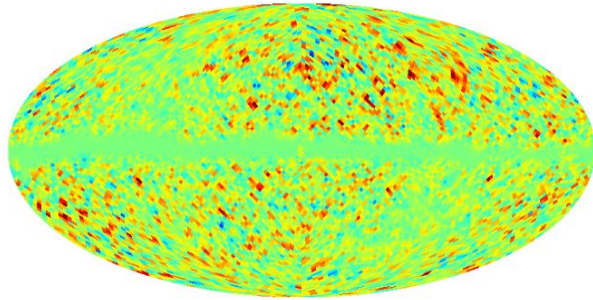
Δ Dust U from GNILC



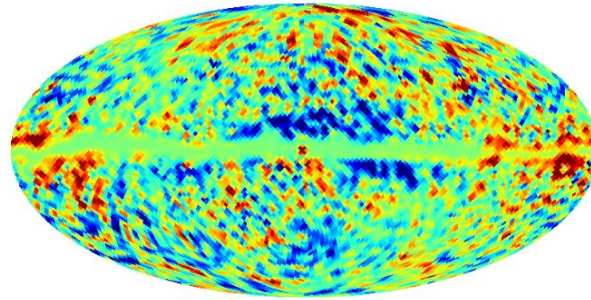
Residual dust Polarized intensity maps

217 GHz
fsky 90%

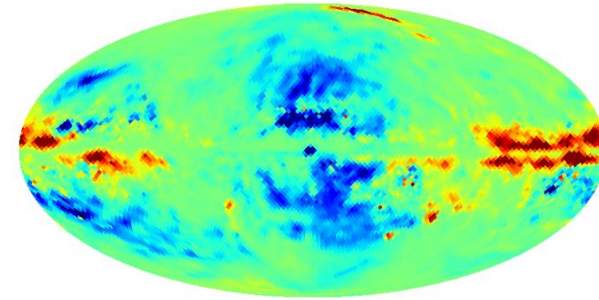
R^P SIM #0



R^P DATA



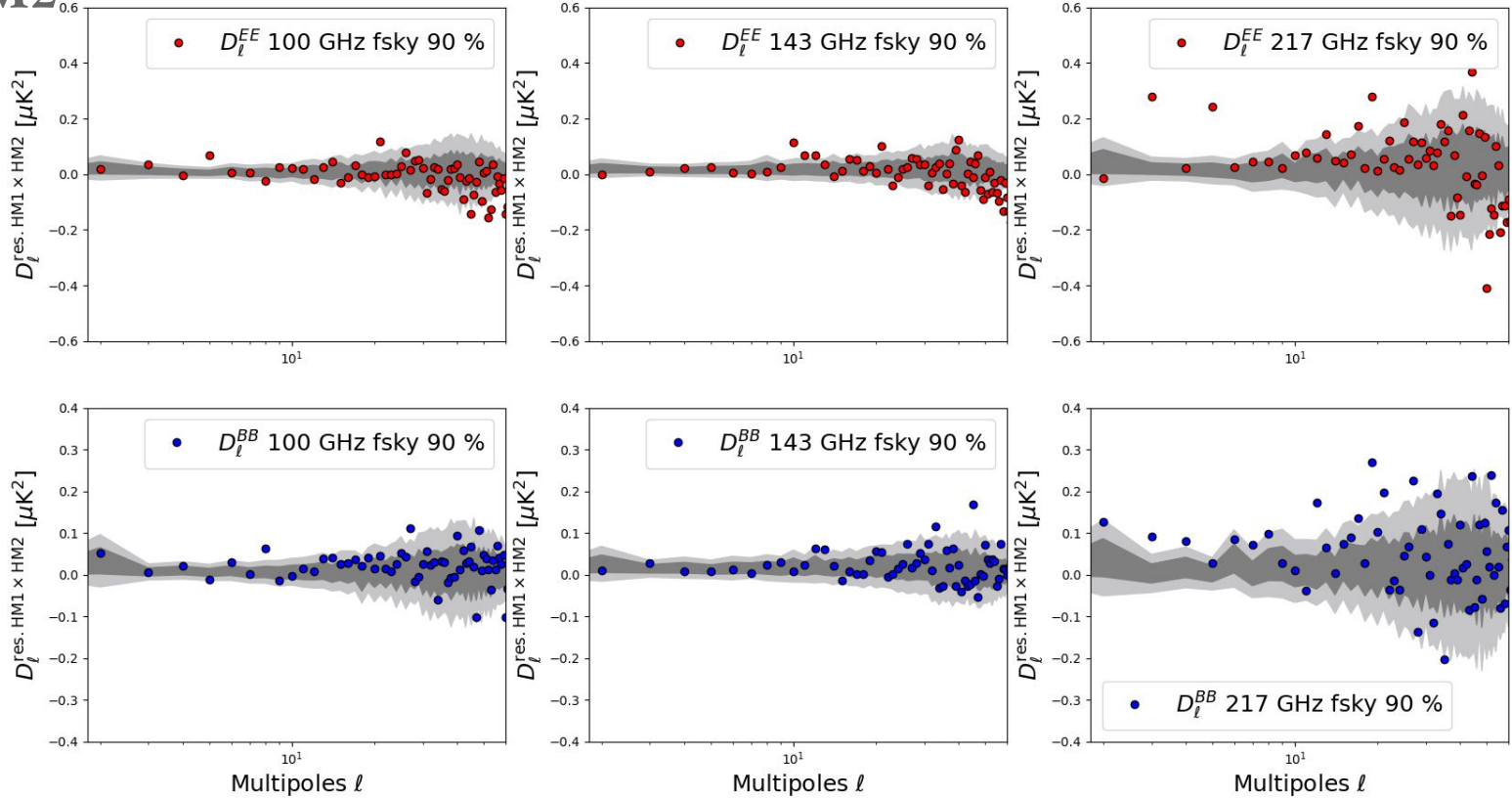
R^P GNILC



**In polarized intensity P map we find SED variations correlated to dust
FIR SED variations in total intensity from GNILC MBB fit**

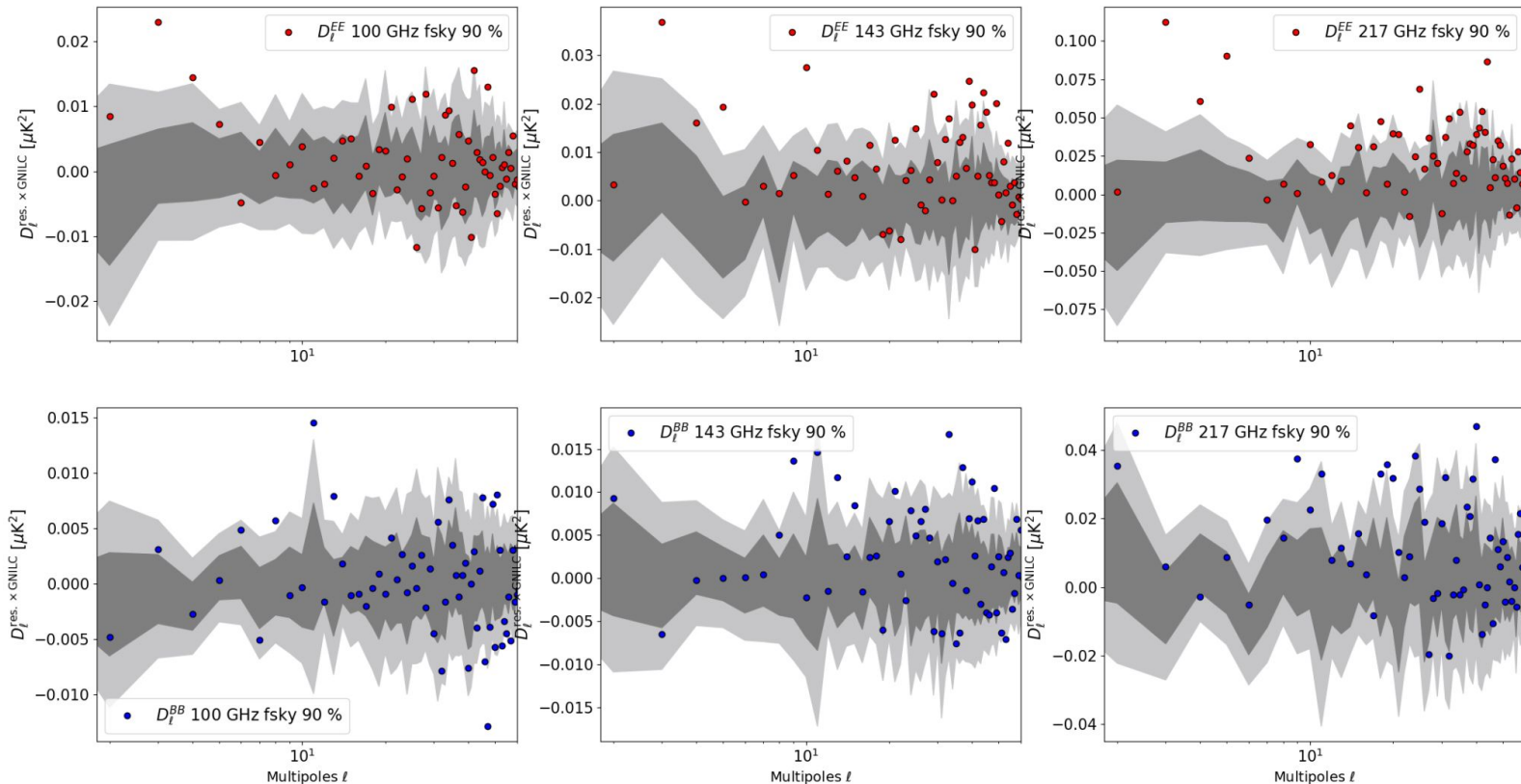
Cross Power Spectra analysis

HM1 X HM2



Cross Power Spectra analysis

Full-mission \times GNILC



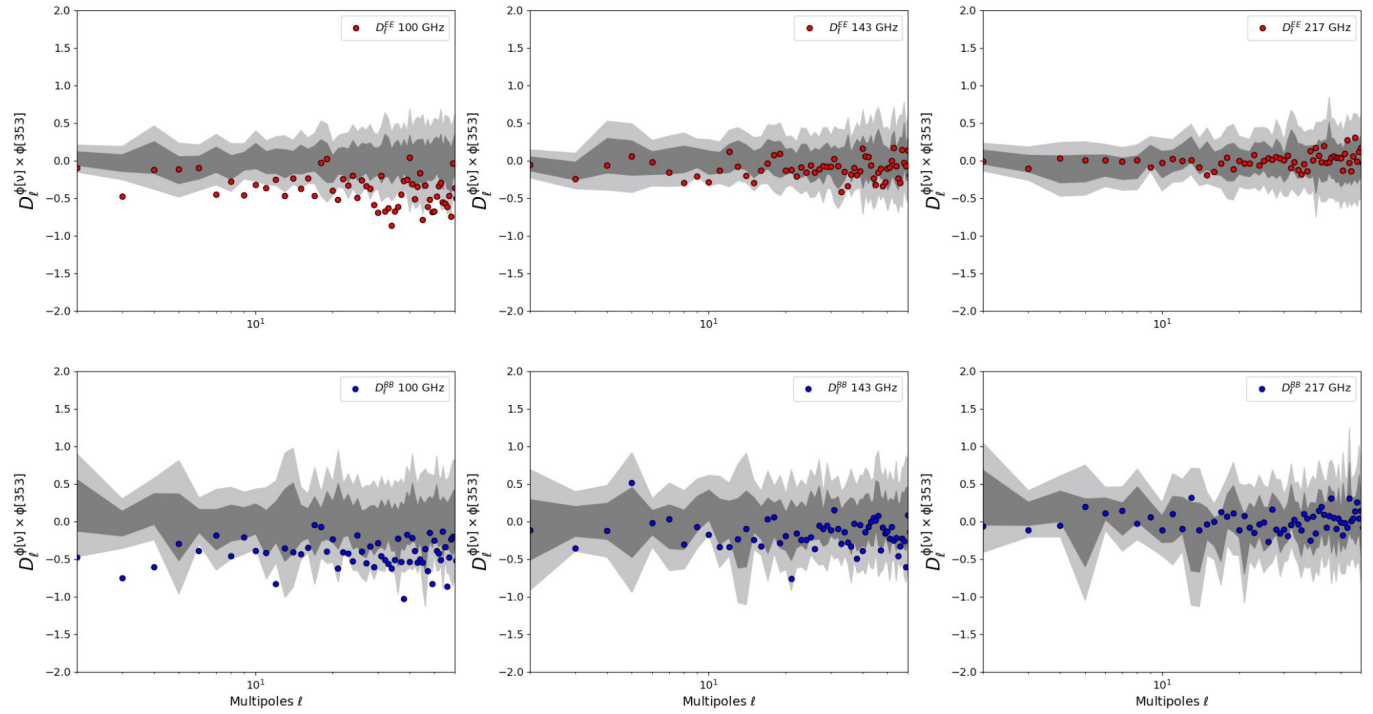
Dependance on polarization angle variation ϕ

$$D_\ell = (\tilde{Q}, \tilde{U})_\nu \times (\tilde{Q}, \tilde{U})_{\nu_0}$$

$$\tilde{Q}_\nu = \cos(2\phi_\nu)$$

$$\tilde{U}_\nu = \sin(2\phi_\nu)$$

$$\phi = \frac{1}{2} \tan^{-1} \left(\frac{U}{Q} \right)$$



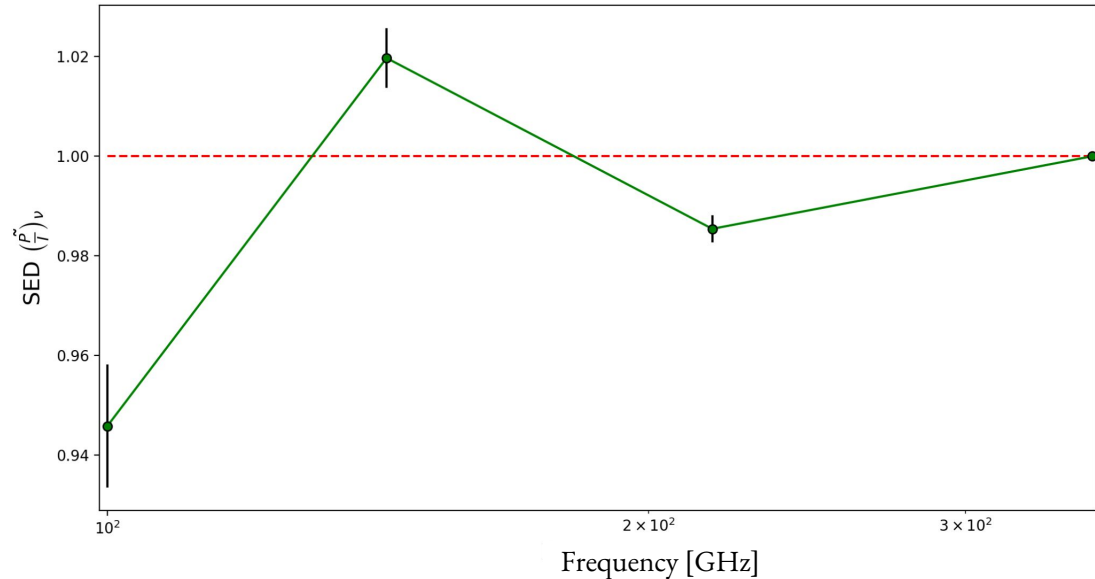
The farthest we go from ν_0 the decorrelation increases

Dust mean SED polarization vs total intensity

PRELIMINARY

The ratio between the polarization SED coefficients estimated on Scroll2.0 polarization maps γ^p with respect to GNILC total intensity γ^g is given by:

$$\frac{\tilde{P}}{I} = \frac{\gamma^p}{\gamma^g}$$



Deviation from the unity is evidence of a small difference of SED between polarization and total intensity.



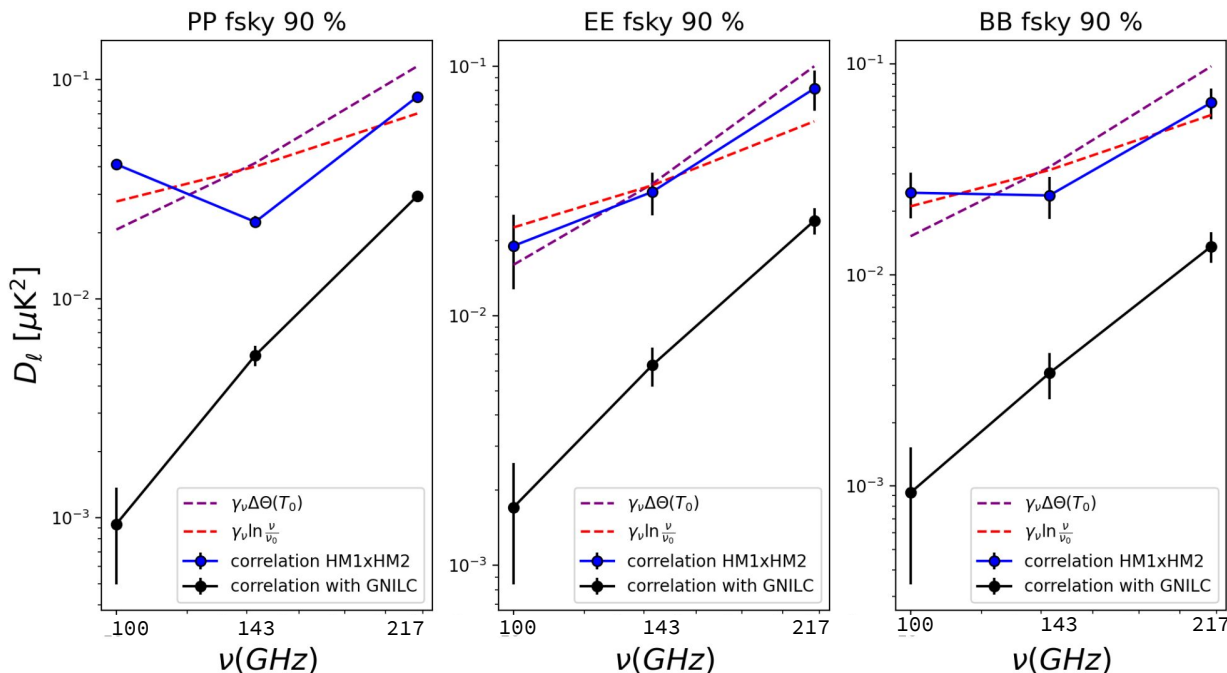
But remember that our estimate of mean dust polarization SED is biased by frequency decorrelation.

SED extrapolation binned spectra $\ell=[4,30]$

$$R_\nu(\eta) = D_\nu(\eta) - \gamma(\nu)D_{\nu_0}(\eta)$$

$$= \delta\gamma(\nu)D_{\nu_0}(\eta) + \omega_\beta(\eta)\gamma_\nu \ln \frac{\nu}{\nu_0} + \omega_T(\eta)\gamma_\nu [\Theta_\nu(T_0) - \Theta_{\nu_0}(T_0)]$$

PRELIMINARY



Conclusions and perspectives

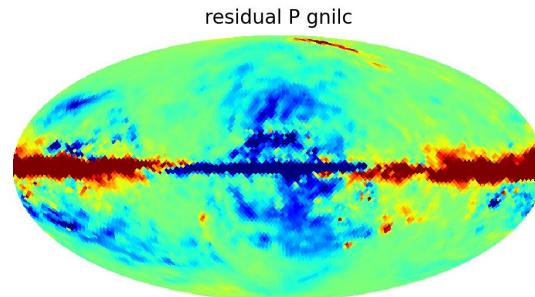
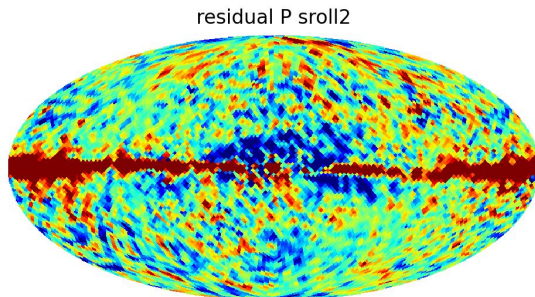
We are making progress in characterizing Galactic dust polarization!

- Variations of dust SED in polarization detected close to the galactic plane;
- Residuals from total intensity GNILC maps correlates with polarization **but** this correlation accounts only for part of the signal;
- We observe frequency decorrelation from changes of polarization angles increasing from 217 to 100 GHz;
- Two possible interpretations need to be considered:
 - 1) variation of dust spectral index and temperature;
 - 2) additional polarization galactic component.

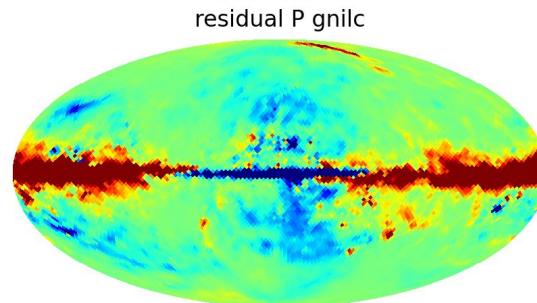
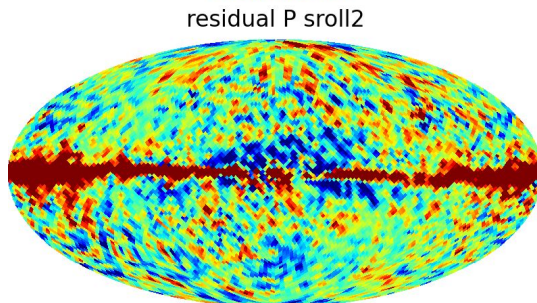
THANK YOU FOR THE ATTENTION!

Coefficients γ_ν
estimated for:

fsky 90%



fsky 80%



fsky 70%

