



Neutron Mirror-Neutron oscillations at high magnetic fields

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INTENSITY
frontier
GDR-InF

GDR-InF annual workshop

Nov 15 – 17, 2021
LPNHE

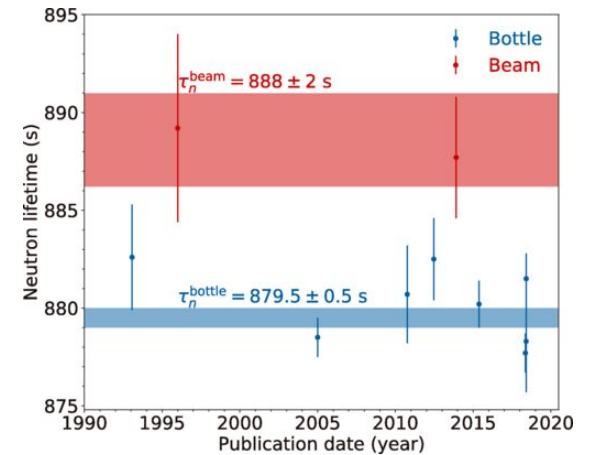


Outline

- Why a mirror universe?
- Theoretical background
- State of the art
- Experimental setup
- Preliminary results

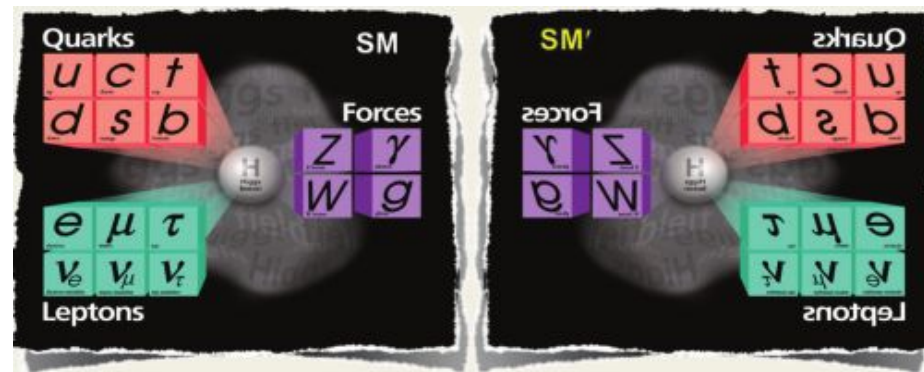
Why a mirror universe?

- An alternative solution to
 - P-symmetry breaking in a global sense
 - new sources of CP violation (baryogenesis)
 - neutron lifetime puzzle
 - dark matter



[Jack T. Wilson, et al, Phys. Rev. Res 2, 023316 (2020)]

- Hypothesis: there is a **mirror coexisting universe where** all particles would have a mirror twin



$$\mathcal{L}_{\text{total}} = \mathcal{L} + \mathcal{L}' + \mathcal{L}_{\text{Mixing}}$$

Theoretical background

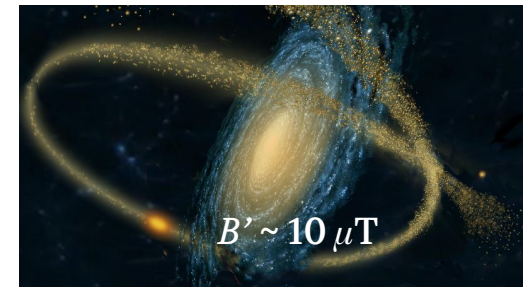
- Mixing between universe and mirror universe would be possible for neutral particles
- In particular, for neutrons under magnetic fields:

[Berezhiani, Z. (2009). Eur. Phys. Jou C, 64(3)]

$$\hat{H} = \begin{pmatrix} \mu\vec{\sigma} \cdot \vec{B} & 1/\tau_{nn'} \\ 1/\tau_{nn'} & \mu\vec{\sigma} \cdot \vec{B}' \end{pmatrix} :$$

Mirror magnetic field

Mixing term (measured quantity)



Theoretical background

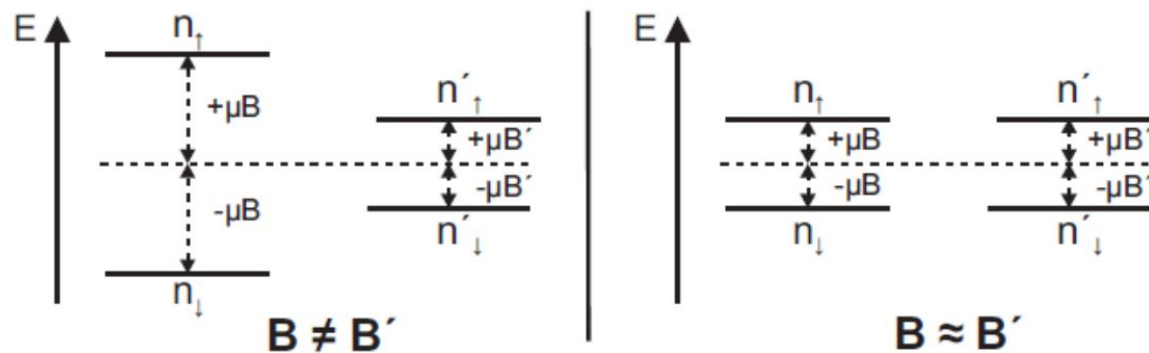
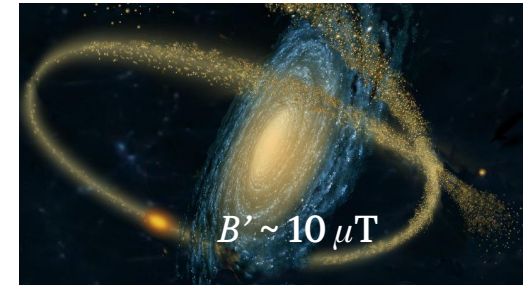
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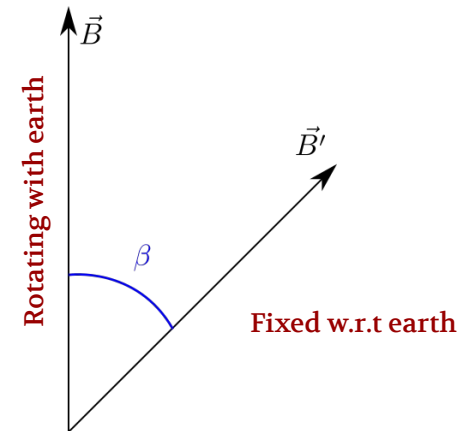
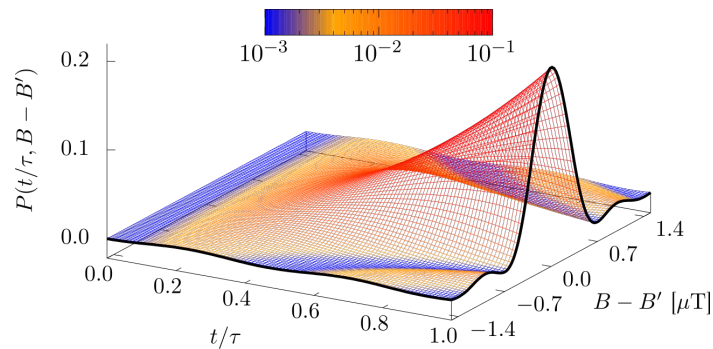
Mirror magnetic field

- Oscillation probability given by

$$P_{nn'}(t) = \mathcal{P}_{\vec{B}}(t) + \mathcal{D}_{\vec{B}}(t) \cos \beta$$

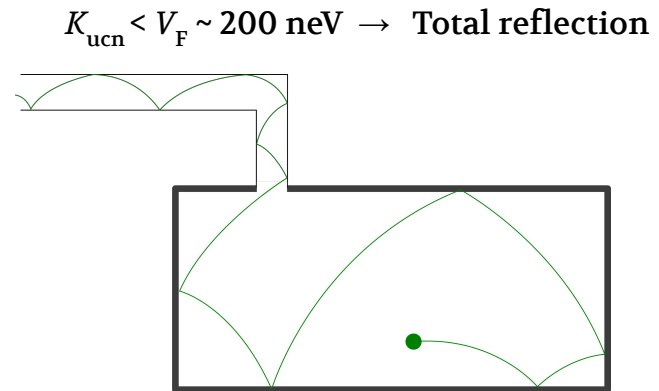
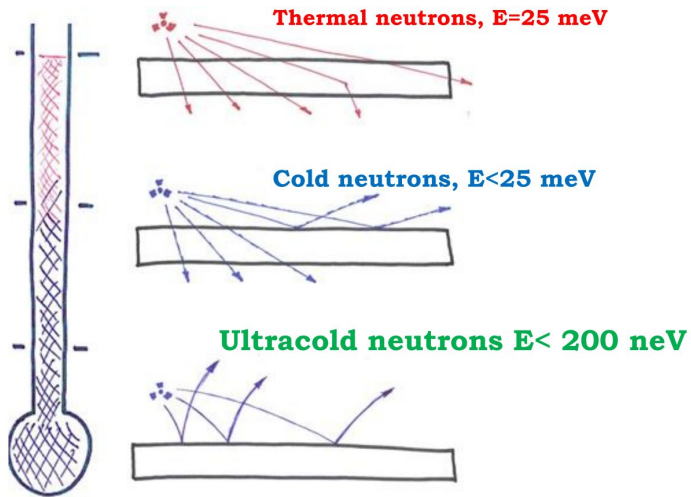
$$\mathcal{P}_{\vec{B}}(t) = \frac{\sin^2[(\omega - \omega')t]}{2\tau_{nn'}^2(\omega - \omega')^2} + \frac{\sin^2[(\omega + \omega')t]}{2\tau_{nn'}^2(\omega + \omega')^2}$$

$$\mathcal{D}_{\vec{B}}(t) = \frac{\sin^2[(\omega - \omega')t]}{2\tau_{nn'}^2(\omega - \omega')^2} - \frac{\sin^2[(\omega + \omega')t]}{2\tau_{nn'}^2(\omega + \omega')^2}.$$



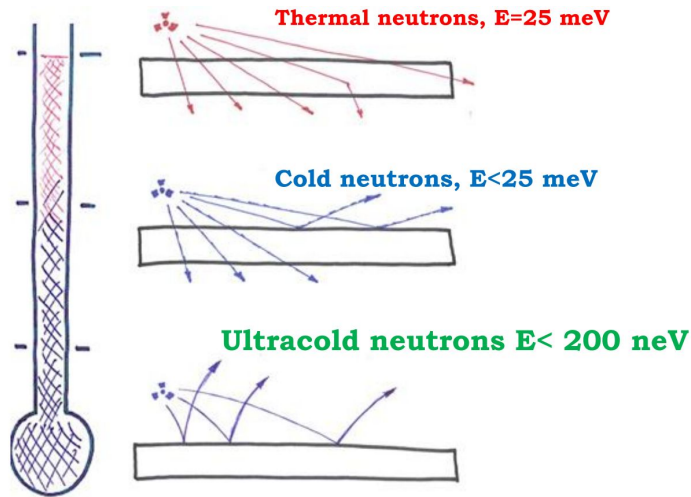
Theoretical background

- Why working with ultra-cold neutrons (UCN) ?

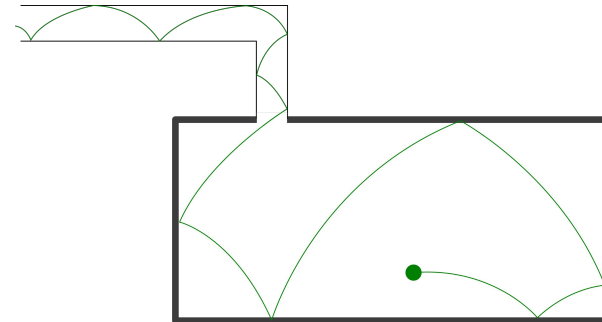


Theoretical background

- Why working with ultra-cold neutrons (UCN) ?



$K_{\text{ucn}} < V_F \sim 200 \text{ neV} \rightarrow \text{Total reflection}$



$$N(t) = N_0 \exp(-R_{\text{tot}} t_s)$$

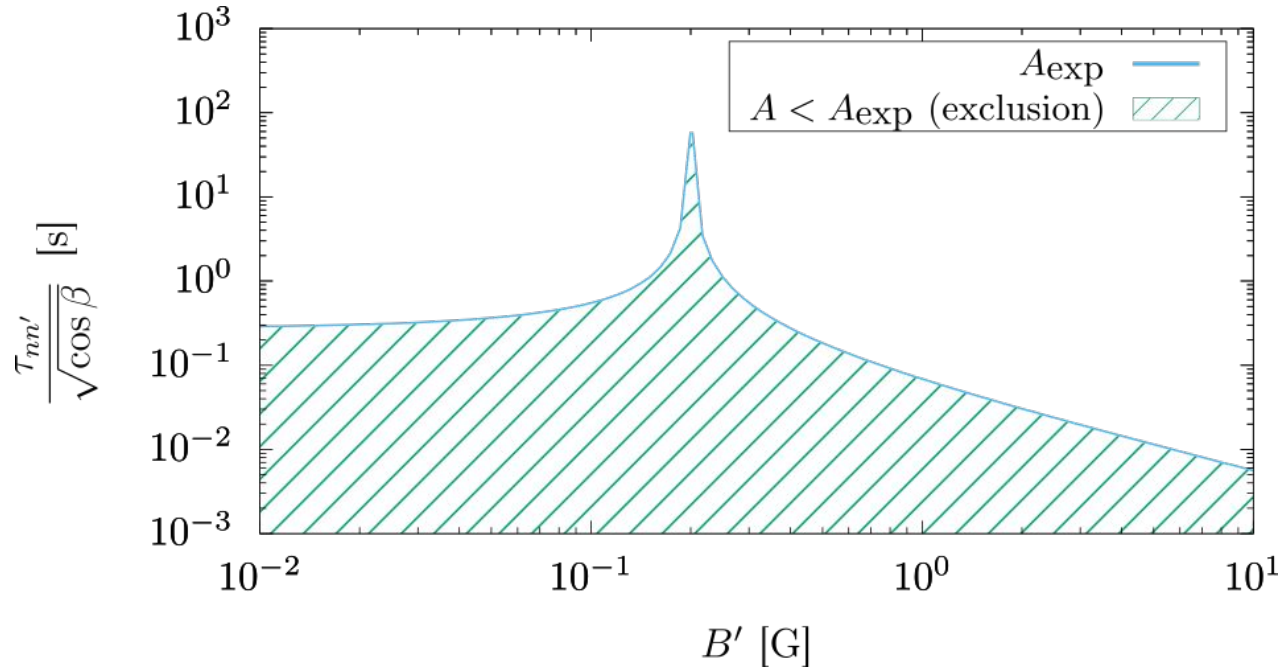
$$R_{\text{tot}} = R^\beta + R^{\text{up-scattering}} + R^{\text{absorption}} + R_B^{nn'}$$

... the asymmetry A depends only on the terms sensitive to B :

$$A = \frac{N_{\vec{B}} - N_{-\vec{B}}}{N_{\vec{B}} + N_{-\vec{B}}} \approx n_s \bar{D}_{\vec{B}} \cos \beta = n_s \frac{\langle \sin^2[(\omega - \omega') t_f] \rangle}{2\tau_{nn'}^2 (\omega - \omega')^2} \cos \beta$$

n_s : number of wall collisions

Theoretical background

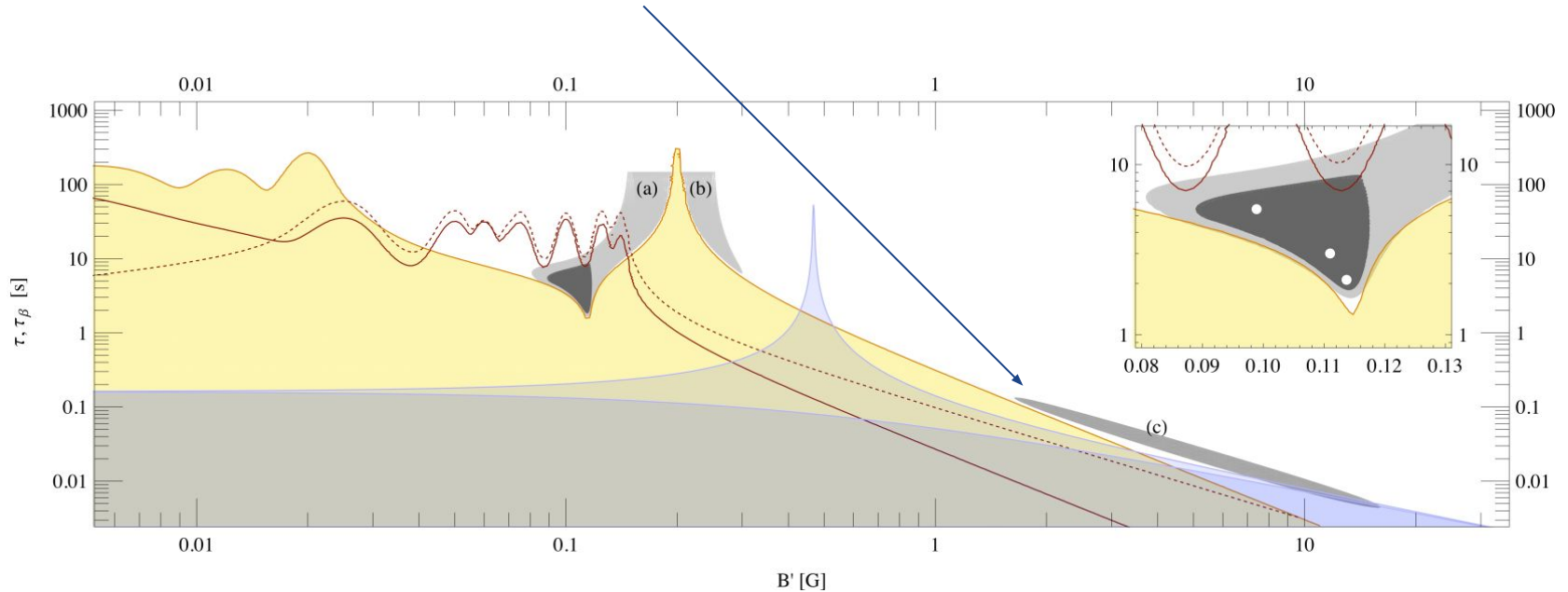


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exclusion regions in the oscillation parameters space

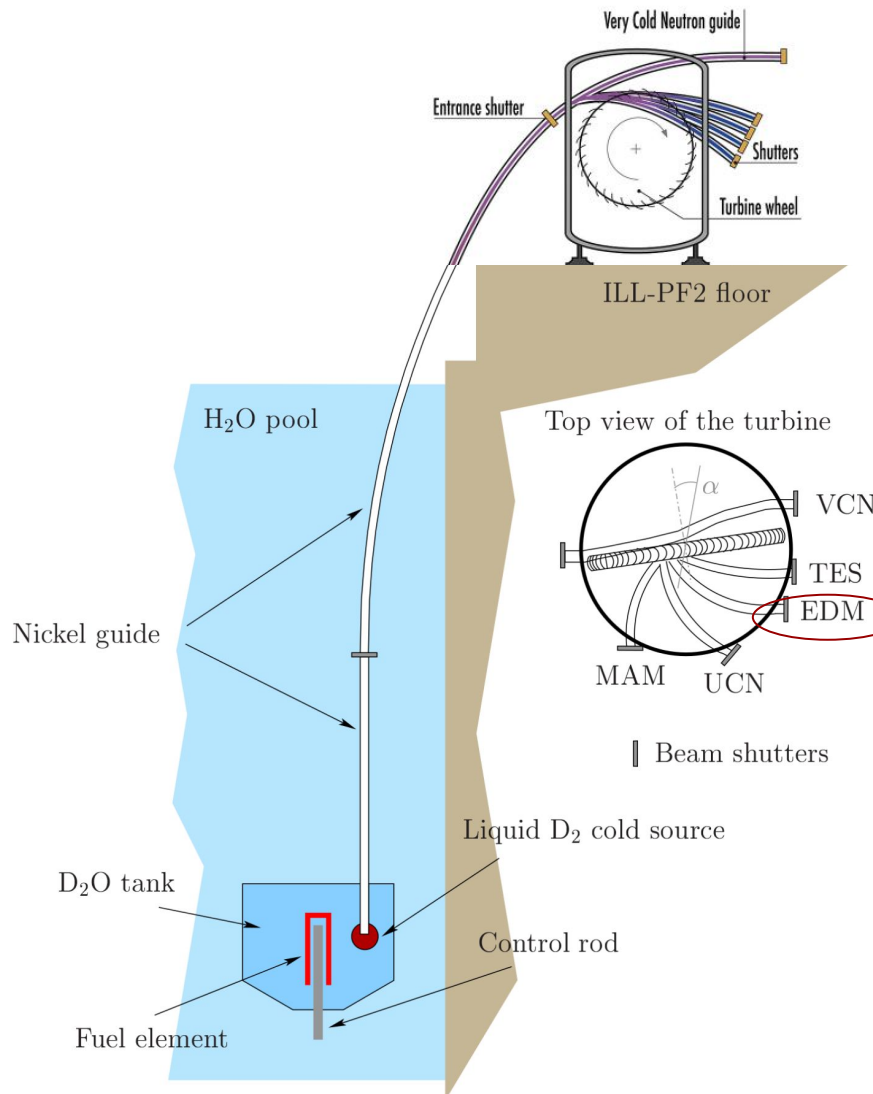
State-of-the-art

- Past UCN trap experiments have shaped the parameter space
- A 5σ anomaly [Berezhiani, 2012] proposed three regions of interest (a), (b) and (c)
 - (a) and (b) were recently revised without positive confirmation
 - region (c) is the aim of this work

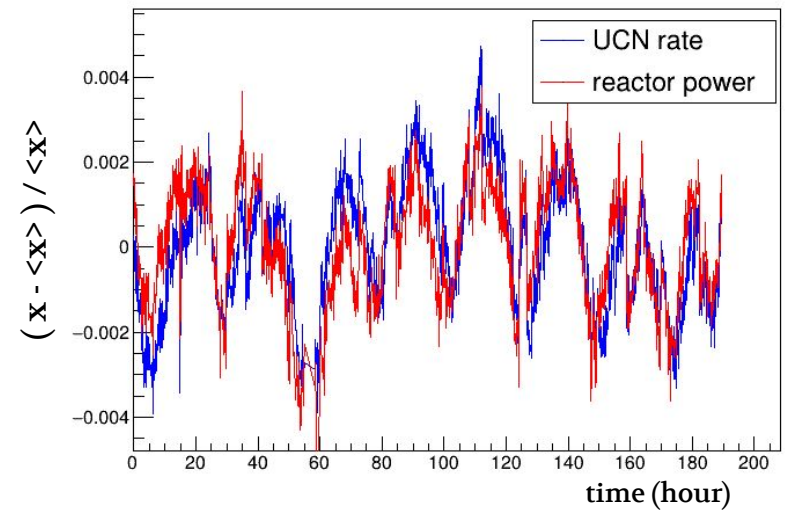


[Berezhiani, Z., & Nesti, F. (2012). Eur. Phys. Jour. C, 72(4).]

UCN source

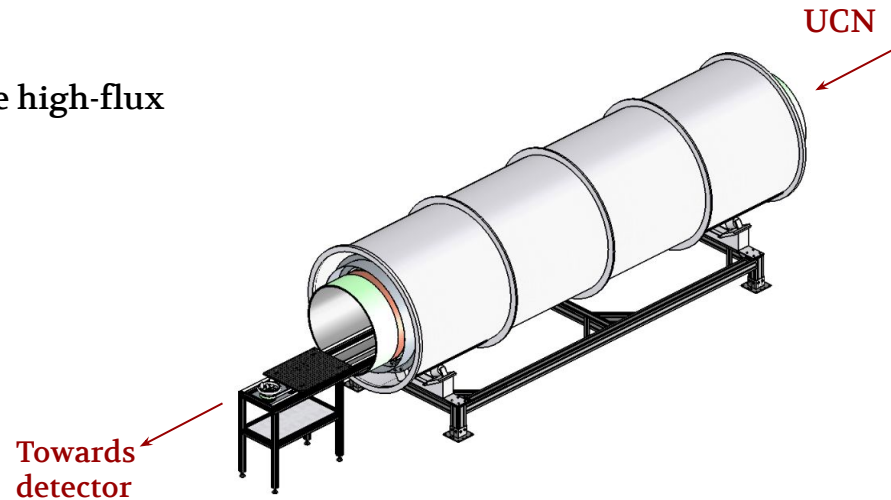


- Neutrons from ^{235}U fission at ILL's reactor
- Neutron flux: $1.5 \times 10^{15} \text{ cm}^{-2} \text{ s}^{-1}$, with a thermal power of 58.3 MW
- UCN flux: $3.3 \times 10^4 \text{ cm}^{-2} \text{ s}^{-1}$ for $v_z < 7 \text{ m/s}$
- UCN flux at experiment port: $\sim 4 \times 10^5 \text{ s}^{-1}$



Experimental setup

- N-N' oscillations at B in 50 - 1000 μT
- No UCN storage \rightarrow We look at the drop of the high-flux UCN beam



- Uniform B-field applied at the UCN guide
 - Solenoid
 - StdDev ~ 30 nT with $I=1.7$ A
 - 4.8 m long
 - 80 cm diameter
 - Compensation coils at both ends ($I = 2.5$ A)
 - Mu-metal shielding:



Measuring technique

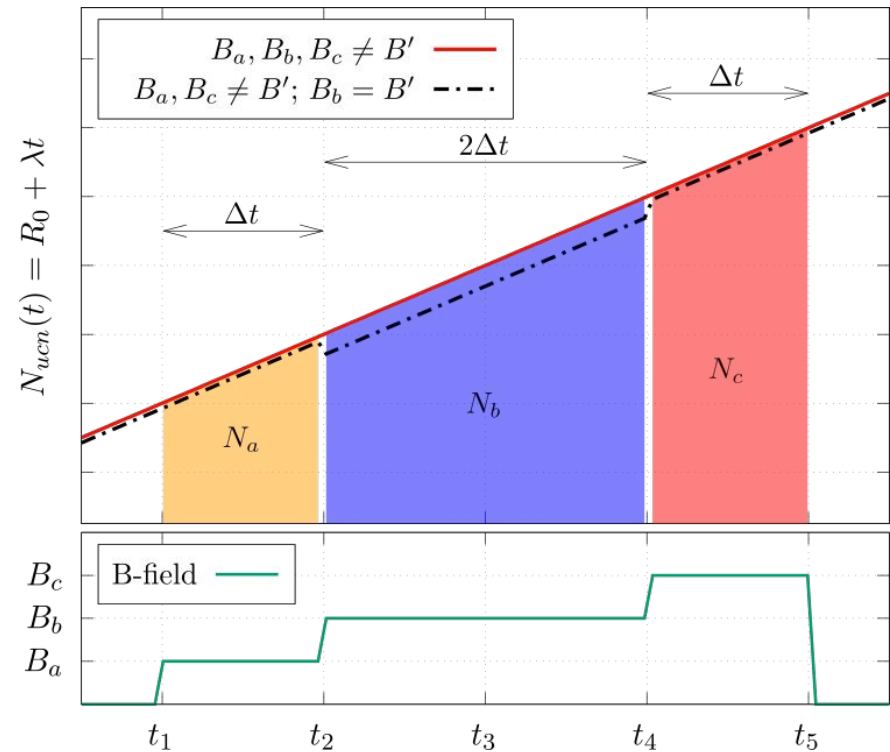
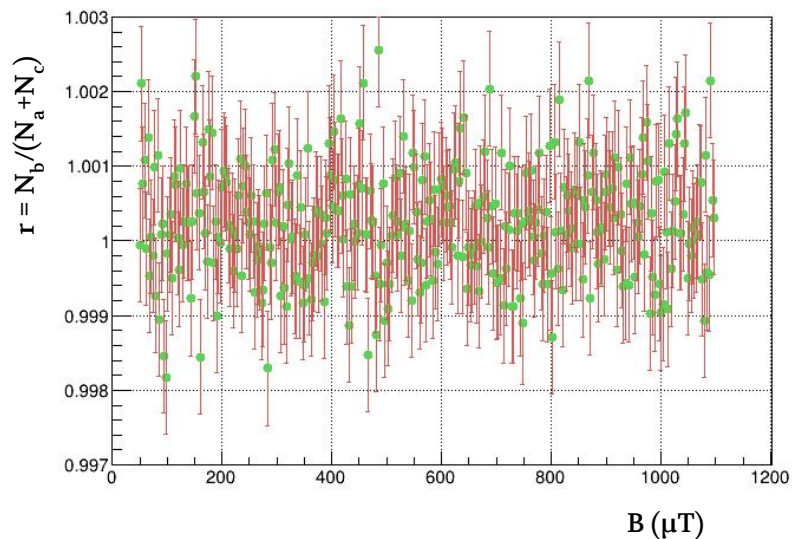
- UCN Flux drop at field B relative to A and C

$$r = \frac{N_b}{N_a + N_c}$$

- Experimental sensitivity

$$r \approx 1 - \frac{t_f t_{\text{tot}}}{\tau_{nn'}^2} \quad \tau > \sqrt{\frac{t_f t_{\text{tot}}}{1 - r + 1.65 \Delta r}}$$

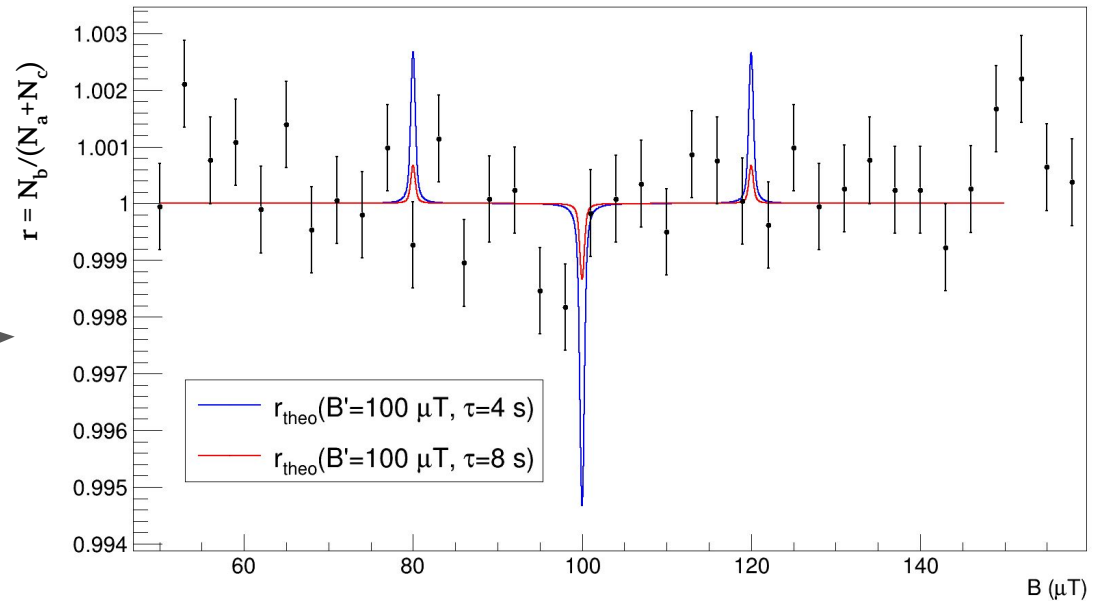
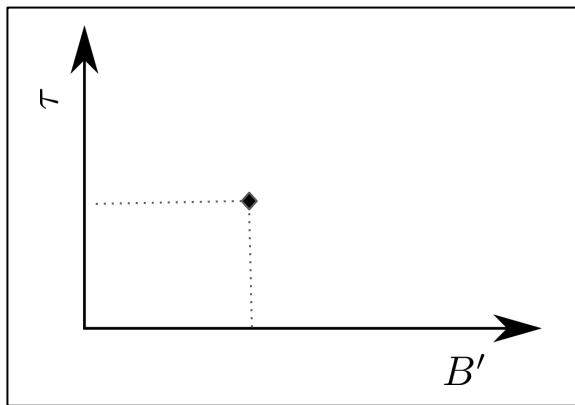
if $t_f = 50$ ms, $t_{\text{tot}} = 1$ s, and $\Delta r = 5 \cdot 10^{-4}$: $\tau_{nn'} > 4$ s



From $N_b/(N_a+N_c)$ to parameter exclusion

- We compare model predictions within the parameter space region of interest to data and produce exclusion plots

If resonance at (B', τ) , r should look like....

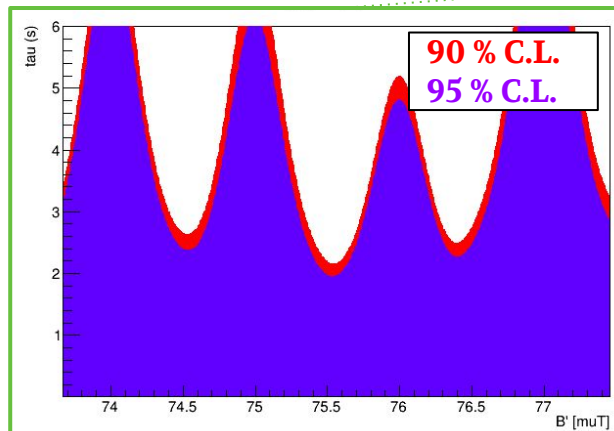
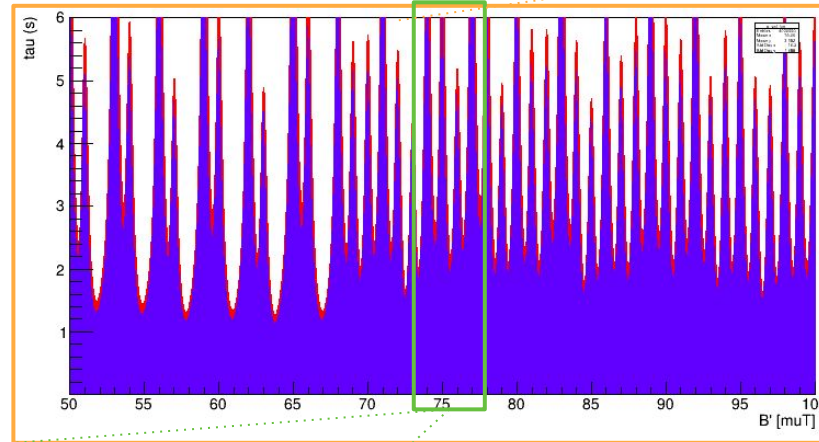
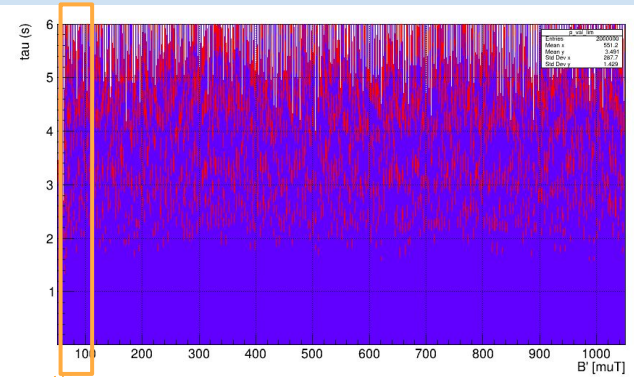


- Triple signal pattern due to construction of r : resonance could happen at $B = B_a, B_b$ or B_c
- If τ too big, possible signals hidden in statistical fluctuations

Parameter space exclusion

Preliminary analysis:

- Exclusion from statistics $\chi^2 = \sum (\mathbf{r}_{\text{exp}} - \mathbf{r}_{\text{theo}})^2 / \delta \mathbf{r}_{\text{exp}}^2$
- Each maximum corresponds to a single cycle (data point)

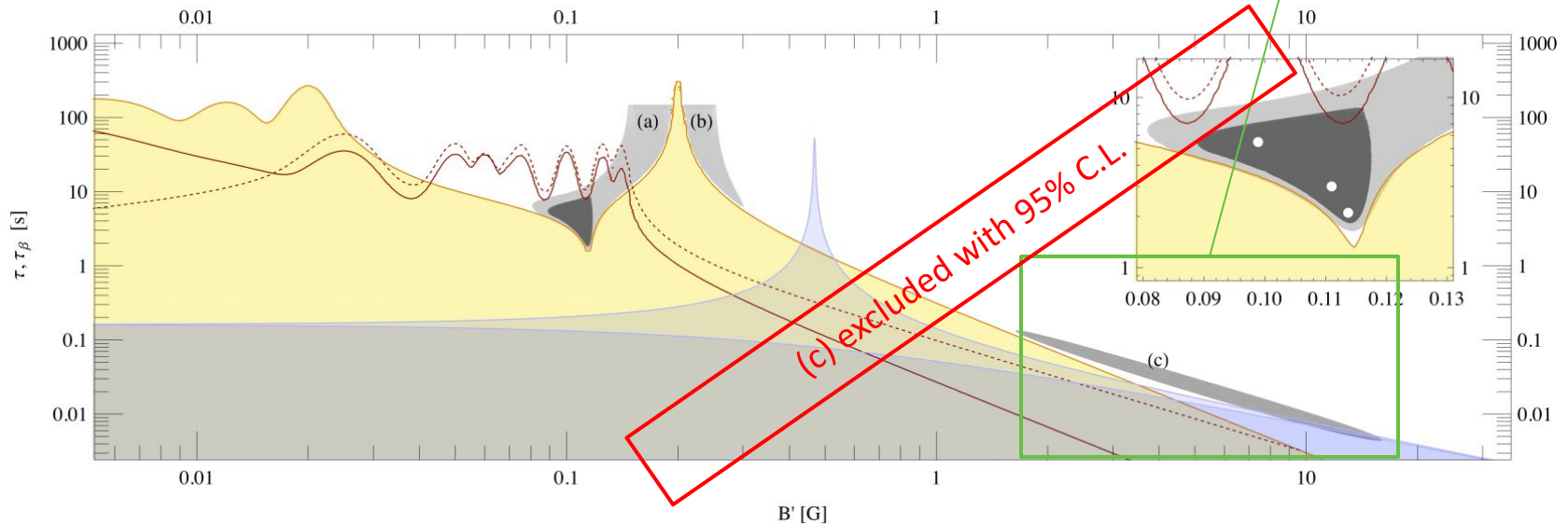
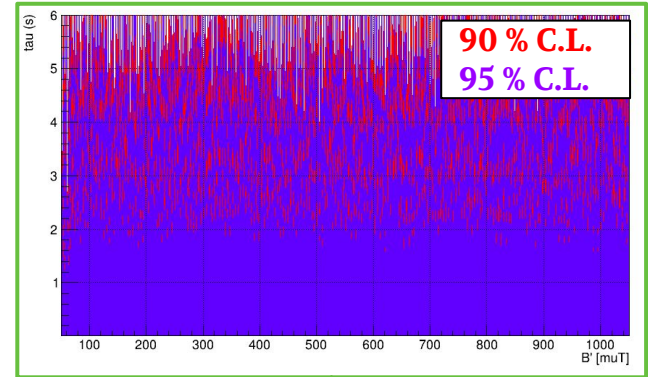


90 % C.L.
95 % C.L.

Parameter space exclusion

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- Each maximum corresponds to a single cycle (data point)
- Region (c) excluded!



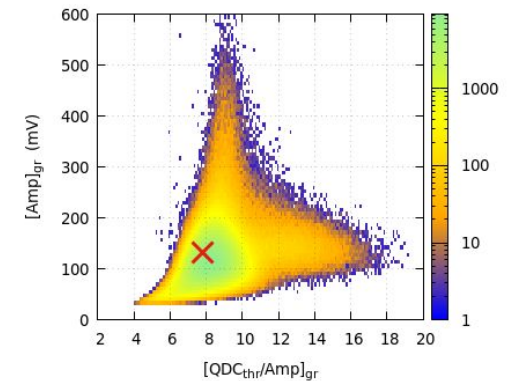
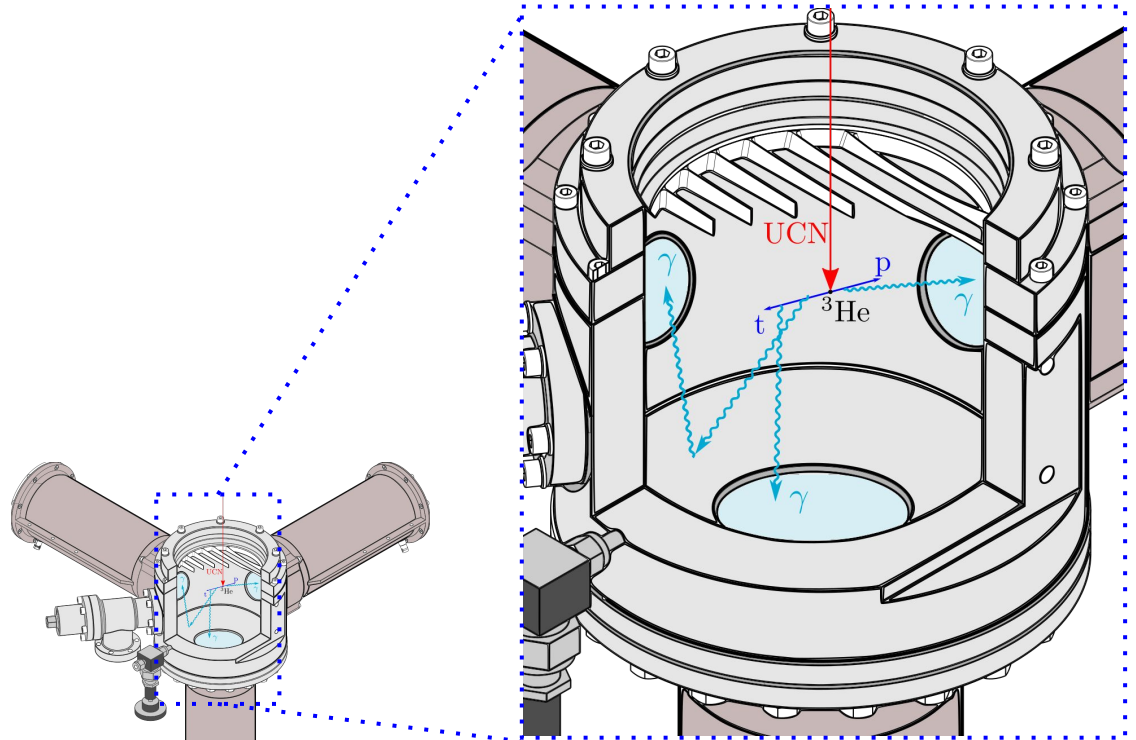
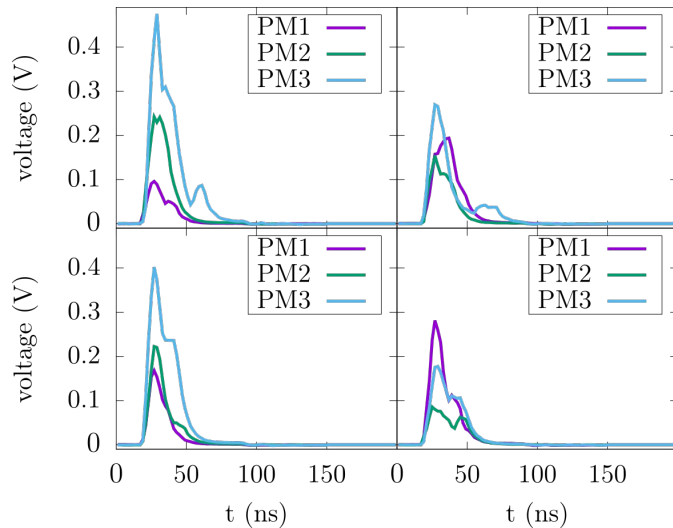
Thank you

Spare

Scanning high magnetic fields: UCN detection

GADGET detector developed at LPC
 ^3He and CF_4 gas mixture:

1. UCN absorption
$$\text{n} + ^3\text{He} \rightarrow \text{p} (0.57 \text{ MeV}) + \text{t} (0.19 \text{ MeV})$$
2. CF_4 scintillation due to p and t ionization/excitation.
3. Light collection by 3 PM tubes working in coincidences



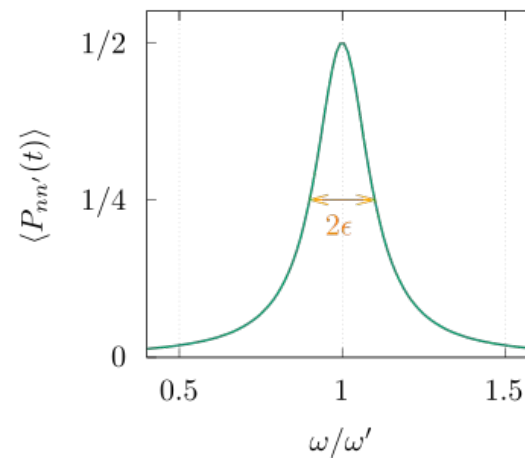
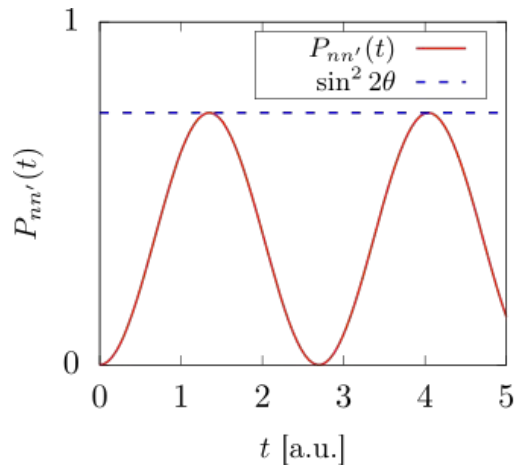
State-of-the-art

- Mixing between universe and mirror universe would be possible for neutral particles
- In particular, for neutrons under magnetic fields, the Hamiltonian is expressed as

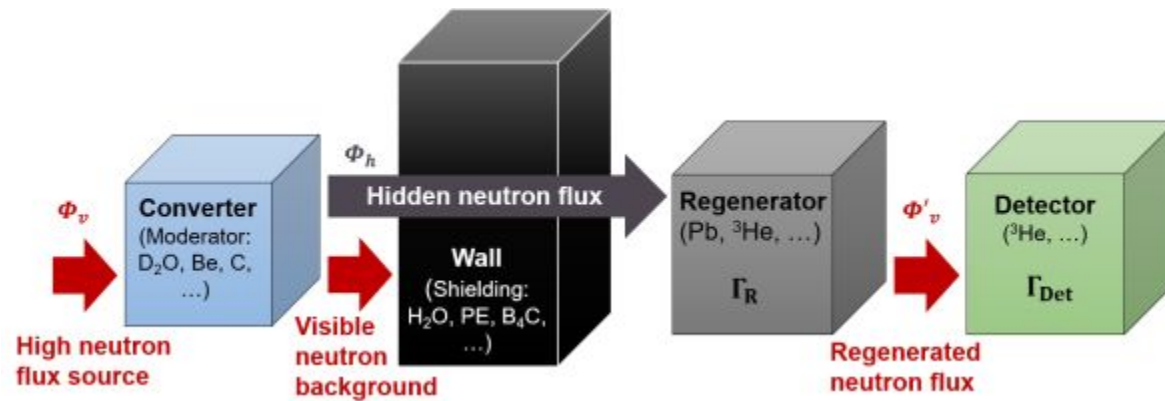
$$\hat{H} = \begin{pmatrix} \mu\vec{\sigma} \cdot \vec{B} & 1/\tau_{nn'} \\ 1/\tau_{nn'} & \mu\vec{\sigma} \cdot \vec{B}' \end{pmatrix} = \begin{pmatrix} \mu\vec{\sigma} \cdot \vec{B} & \epsilon \\ \epsilon & \mu\vec{\sigma} \cdot \vec{B}' \end{pmatrix} \rightarrow \text{Mixing term}$$

- If $\mathbf{B} \parallel \mathbf{B}'$ the n-n' oscillation probability takes the form of the Rabi oscillations:

$$P_{nn'}(t) = \frac{\epsilon^2}{\epsilon^2 + (\omega - \omega')^2} \sin^2 \left(\sqrt{(\omega - \omega')^2 + \epsilon^2} t \right). \quad \sin^2 2\theta = \frac{\epsilon^2}{\epsilon^2 + (\omega - \omega')^2}$$



Passing-through-walls neutron experiments



[C. Stasser, *et al.*, Eur. Phys. J. C 81, 17 (2021)]

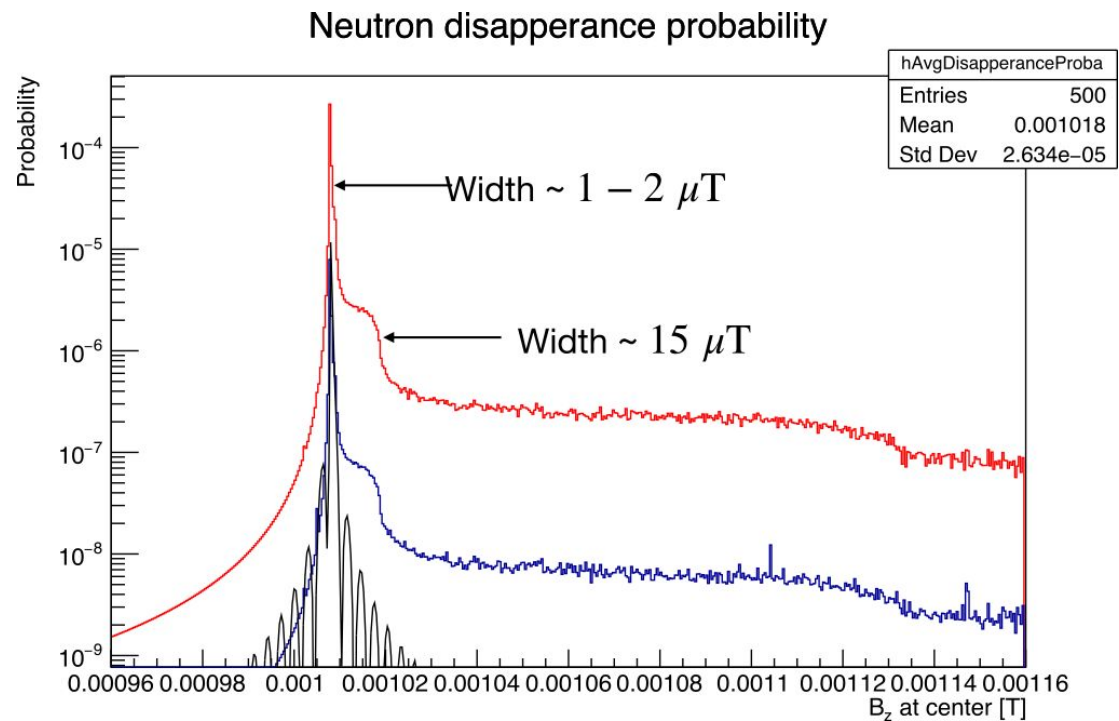
Size of the B-field step (in a cycle)

MC simulation of tracks: StarUCN
Field maps: COMSOL

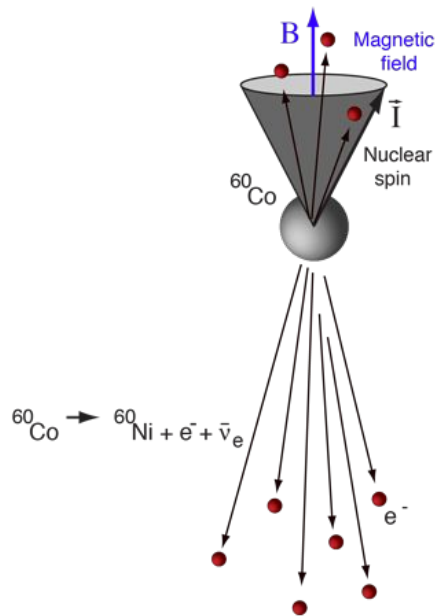
Validation:

$B' = 1.008 \text{ mT}$

$\tau = 10 \text{ s}$



P-violation ?



- 1957 Wu's experiment showed beta emissions had a preferred direction, i.e., beta decay violates P-symmetry
- 7 years later, in order to keep CP invariance, a mirror or "shadow" universe was proposed (SM did not exist yet)
... then, even if ^{60}Co β -particles prefer direction $-B$
 $^{60}\text{Co}'$ β' -particles would prefer direction $+B'$
so restoring the global P-symmetry!

Reactor power ratio r

- Fluctuation in the detector as big as the ones in the reactor power
- Correlation coefficient: $\rho = 0.42$

