## Heavy warm dark matter from supercooling

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# Non-Cold Dark Matter



- Planck Collab. 1807.06205

High speed DM at late times  $\rightarrow$  suppression of small scale structure

# DM Velocity



- IB et al. 2004.14773

Can be used as a proxy for other scenarios. Future constraint  $m_{\text{WDM}}$  ~ 10 keV.

#### **Examples**

- DM from evaporating PBHs e.g. Fujita et al. 1401.1909
- **2** Inflaton Decay Ballesteros et al. 2011.13458
- **3** Freeze-in e.g. Ballesteros et al. 2011.13458
- **4** Super-WIMP Decay e.g. Decant et al. 2111.09321

### Question

Can we get Non-Cold DM from a phase transition?

Also see Monday's talk by Christian Döring (2107.10283) for an alternative way a PT can affect structure.

# Phase Transition



Particles gaining a mass during a  $PT \rightarrow$  boosted in the plasma frame.

 $\mathcal{L} \supset \lambda \phi^2 X^2$ 

Can we use this to get NCDM? No, due to small  $m_{DM}/T_{\rm RH}$ .

#### Problems:

- **DM** does not get a large enough momentum kick unless  $\lambda \gg 1$ .
- **2** DM comes back into kinetic equilibrium after the PT.
- Simplest idea didn't work.
- We need to go to a slightly more complicated DM scenario.
- $\bullet$  Eventually we get  $m_{DM} \sim 10^8$  GeV Non-Cold DM from a FOPT.

# DM production



Instead produce DM at the wall - Azatov, Vanvlasselaer, Yin 2101.05721

$$
\mathcal{L} \supset \frac{1}{2} m_{\rm DM}^2 X^2 + \frac{1}{4} \lambda \phi^2 X^2
$$

We can have  $m_{\text{DM}} \gg \langle \phi \rangle \sim m_{\phi}$ .

### **Probability**

$$
P(\phi \to X + X) = \frac{\lambda^2 v_\phi^2}{96\pi^2 m_{\rm DM}^2} \qquad \text{for} \quad \gamma_{\rm wp} \sim \frac{T_n M_{\rm Pl}}{T_{\rm RH}} \gtrsim \frac{L_w m_{\rm DM}^2}{T_n}
$$

Assuming zero initial abundance (possible because  $m_{DM} \gg T_{RH}$ ):

$$
Y_{\text{DM}} \approx \frac{\lambda^2 v_{\phi}^2}{m_{\text{DM}}^2} \left(\frac{T_n}{T_{\text{RH}}}\right)^3 \simeq \frac{0.43 \text{ eV}}{m_{\text{DM}}}
$$

Two solutions possible for  $\Omega_{DM}$ .

• Rad Dom: 
$$
T_n \simeq T_{\text{RH}} > T_{\text{infl}}
$$
.

**2 Vac Dom:** 
$$
T_{\text{RH}} \simeq T_{\text{infl}} > T_n
$$
.

In a subset of parameter space late time velocity of DM also large.

# DM velocity

### From  $\gamma_{\rm DM} \approx m_{\rm DM}/T_n$  one finds

$$
v(t_{\rm eq}) \approx \frac{T_\gamma^{\rm eq} \, m_{\rm DM}}{T_{\rm RH} \, T_n}
$$

This is compared to the limit  $\mathit{v}(t_{\rm eq}) \lesssim 10^{-4}$  from standard WDM models.



#### We need to avoid momentum loss

$$
n_{\phi}\sigma(X\phi\to X\phi)\mathsf{v}_{\mathrm{rel}}\frac{\delta p_{\mathrm{DM}}}{p_{\mathrm{DM}}}=n_{\phi}\frac{\lambda^2}{16\pi\hat{s}}
$$

 $\bullet$  Large  $\hat{s}$  helps us.

• For 
$$
T \lesssim m_{\phi} \approx T_{\text{RH}}
$$
,  $n_{\phi} \propto \text{Exp}[-m_{\phi}/T]$ .



Phase transition during radiation domination.



Phase transition during vacuum domination.



Phase transition during vacuum domination.

## Gravitational Waves



 $f_{\text{peak}} \propto T_{\text{RH}}$ 

The  $\phi$  can decay via a portal  $\mathcal{L} \supset - \lambda_{h\phi} \phi^2 |H|^2$ .



These can also sap DM momentum. However it is easily possible to have  $\lambda_{h\phi}$  small enough to avoid this while allowing for rapid  $\phi$  decay.

### Conclusion

- Using Azatov/Vanvlasselaer/Yin production mechanism showed non-cold DM from a PT is possible.
- Generic signal:  $\Omega_{\rm GW}$  peaked towards the IR of the LISA sensitivity together with suppression of small scale structure.
- Crucial:  $\phi$  not charged under a gauge symmetry.
- $Z_2$  for  $\phi$  should be broken to avoid domain walls.
- If  $Z_2$  for X also broken we get some indirect detection.
- **O** Unobservable via direct detection.