

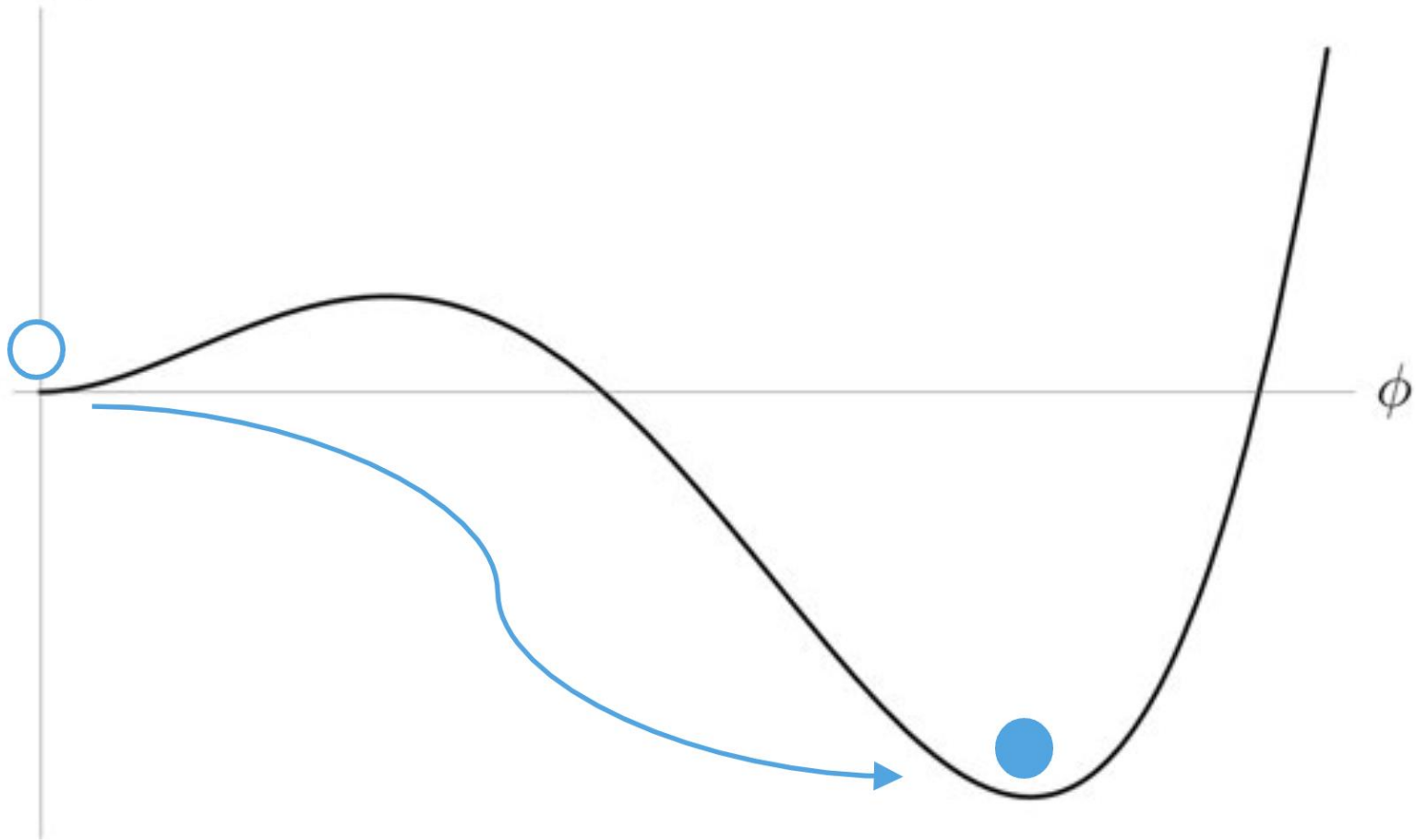
PHASE TRANSITION AND GRAVITATIONAL WAVES SIGNAL FROM CONFORMAL SYMMETRY BREAKING

Maciej Kierkla

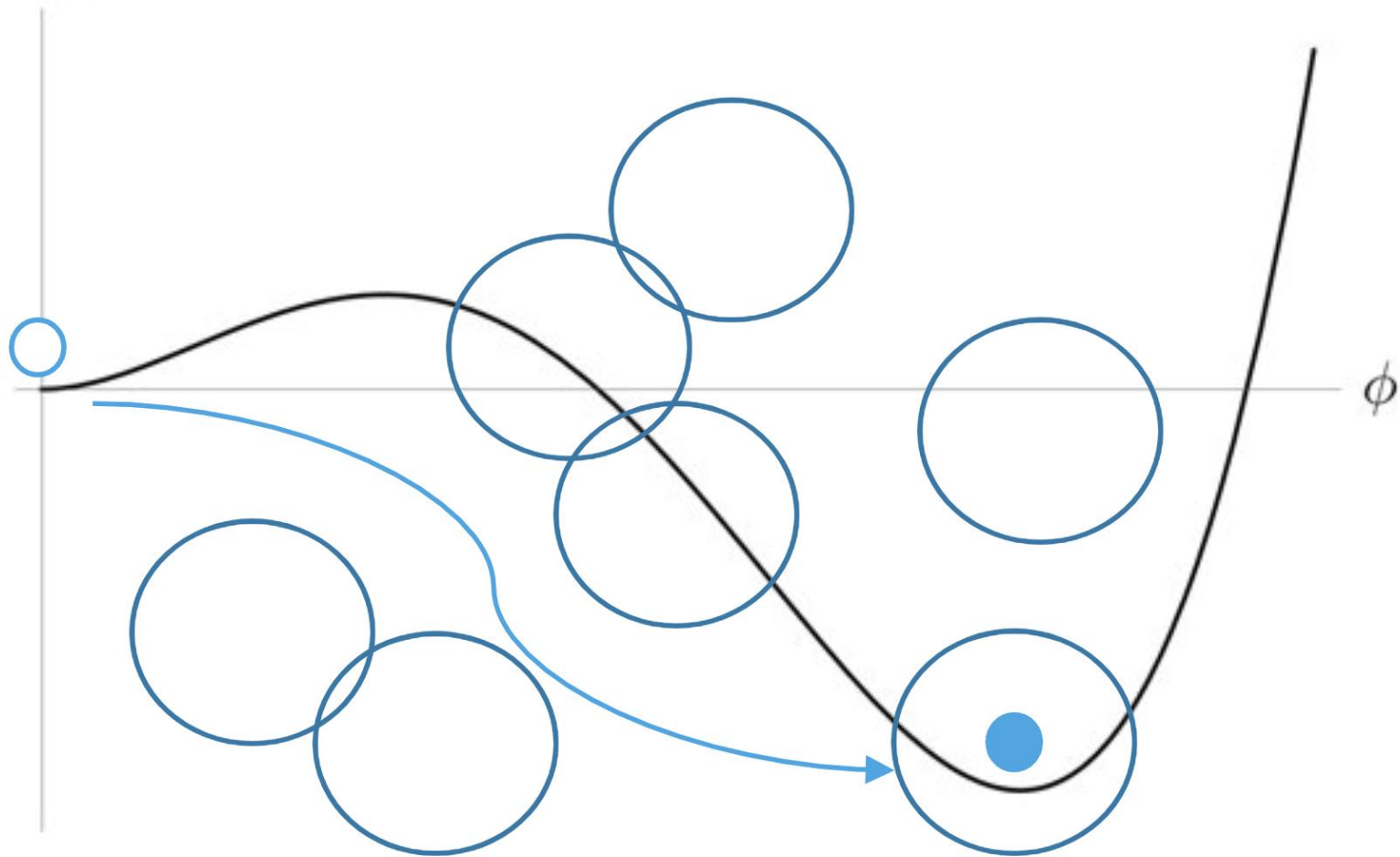
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$V(\phi)$

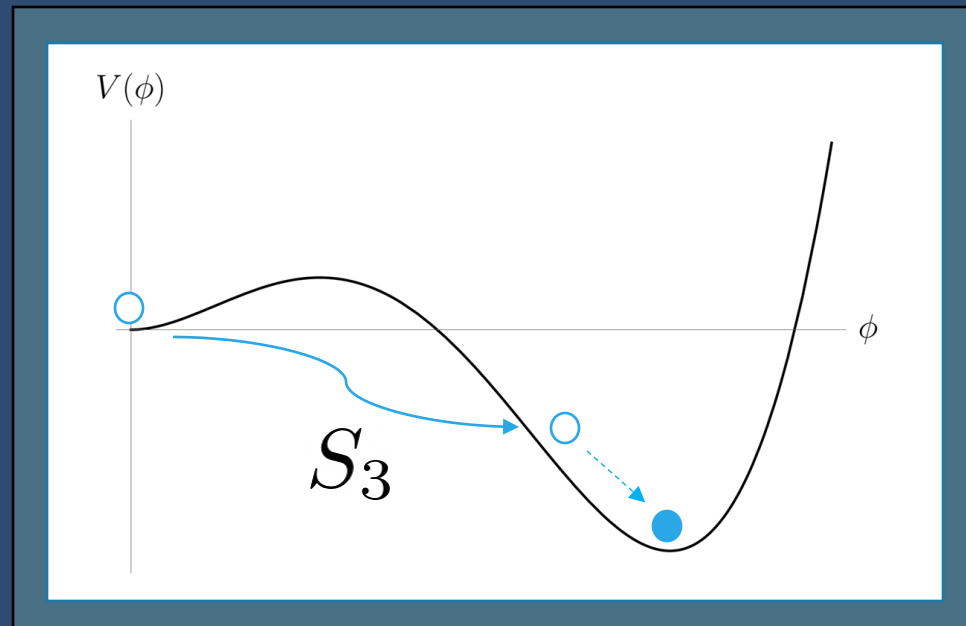


$V(\phi)$



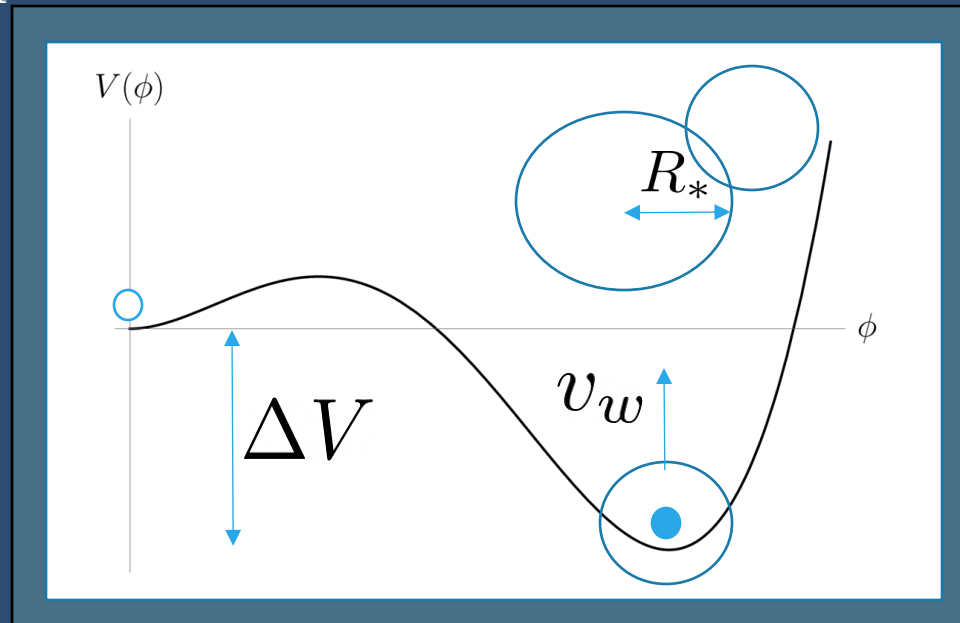
Thermal tunnelling

- Decay rate is given as: $\Gamma(T) \simeq T^4 \left(\frac{S_3}{2\pi T} \right)^{\frac{3}{2}} e^{-S_3/T}$
- Euclidean action along the bounce solution: $S_3 = 4\pi \int r^2 dr \left[\frac{1}{2} \left(\frac{d\varphi}{dr} \right)^2 + V_{\text{eff}}(\varphi, T) \right]$



Cosmological phase transitions

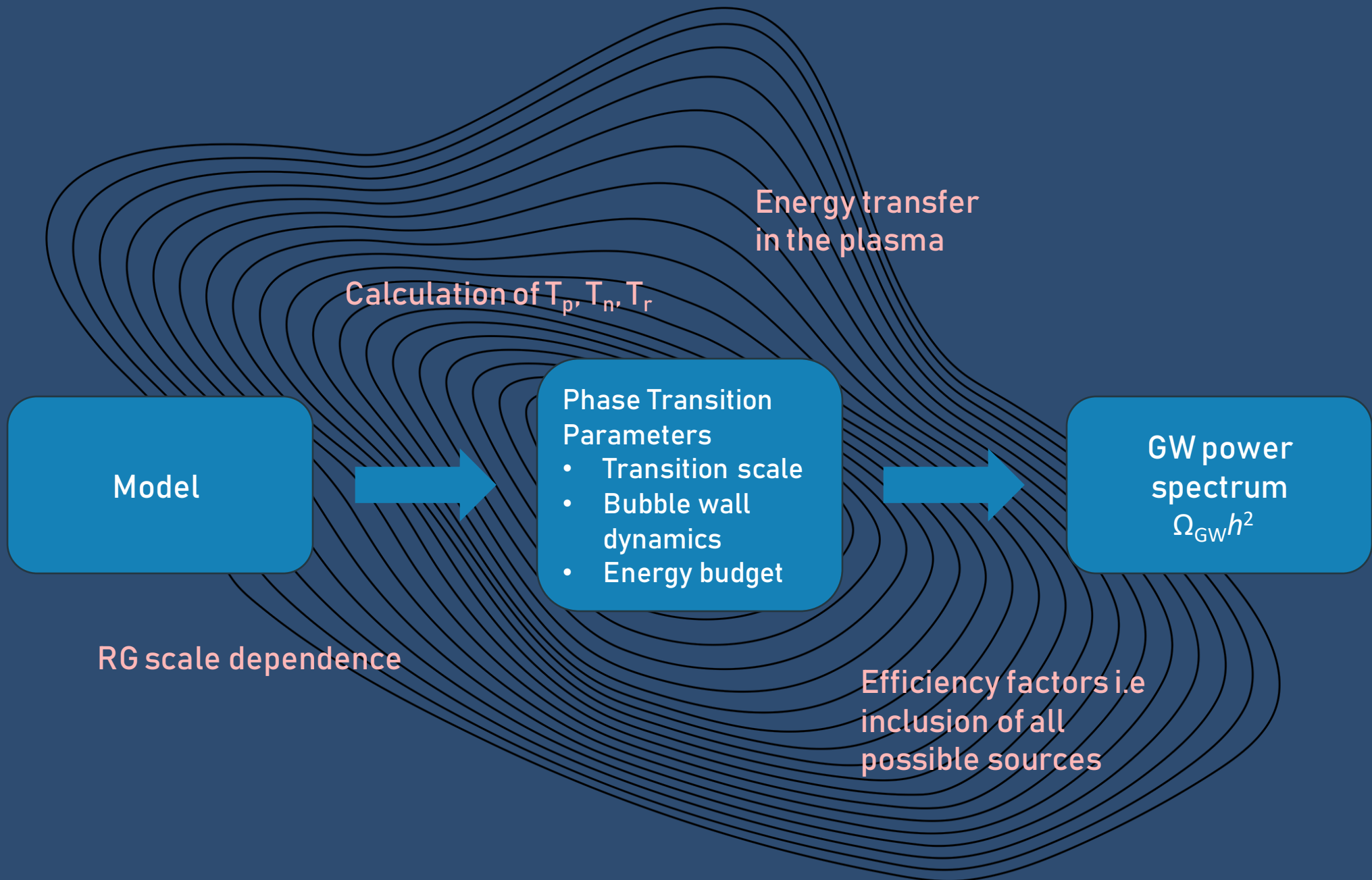
- "Strength" of the transition $\alpha \sim \frac{\Delta V}{\rho_{\text{rad}}(T_p)}$
- Average bubble radius R_* or inverse time scale $\beta \sim R_*^{-1}$
- Bubble wall velocity v_w
- Temperature T_p at which PT ends



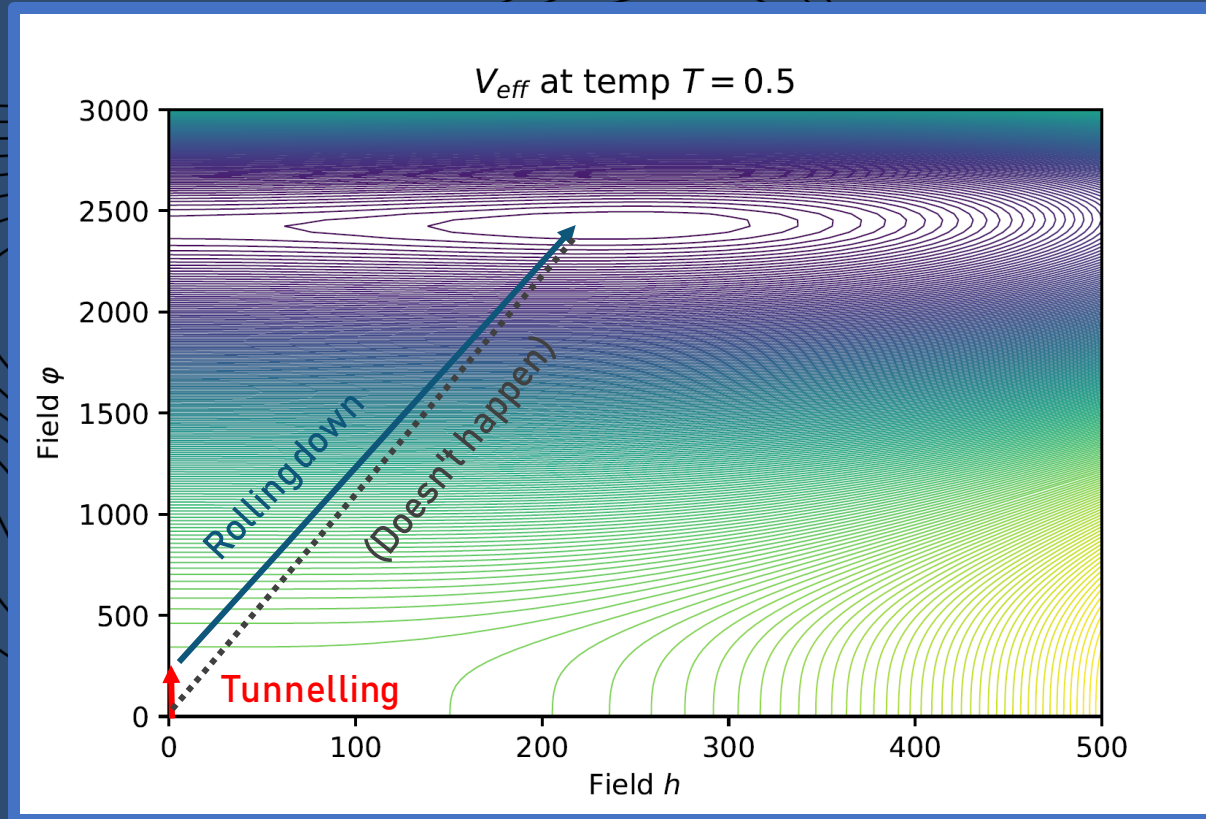
RG improved



$$V_{\text{tree}} = \frac{1}{4} (\lambda_1 h^4 + \lambda_2 h^2 \phi^2 + \lambda_3 \phi^4)$$

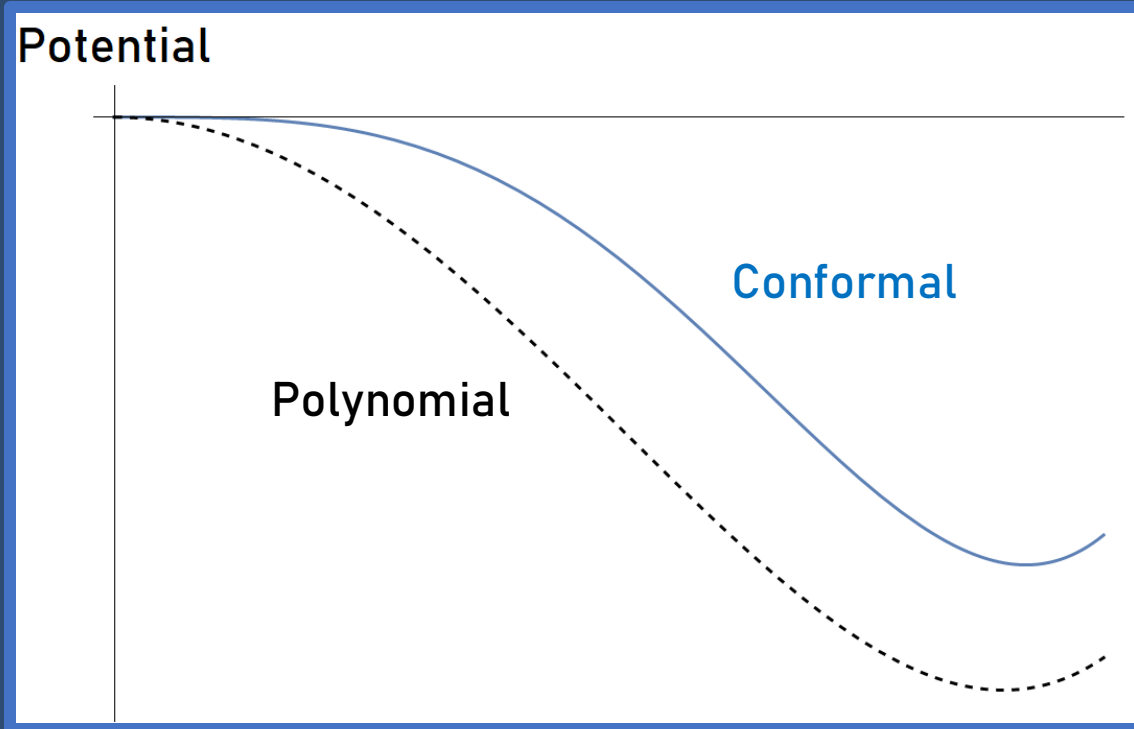


Tunneling scenario in SU(2)cSM



Tunnelling occurs only in the new scalar direction!

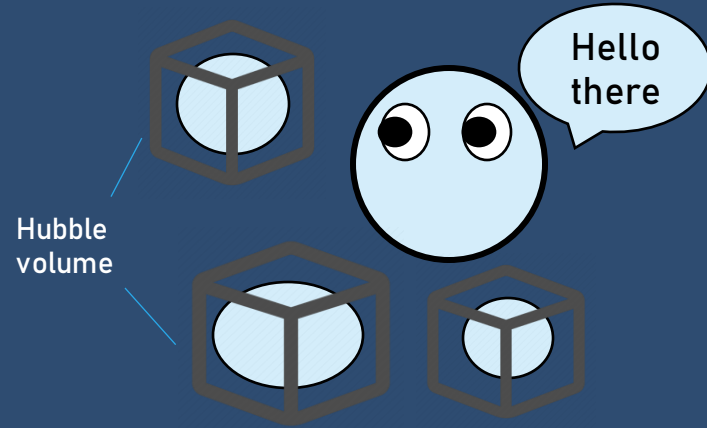
Introducing: supercooling



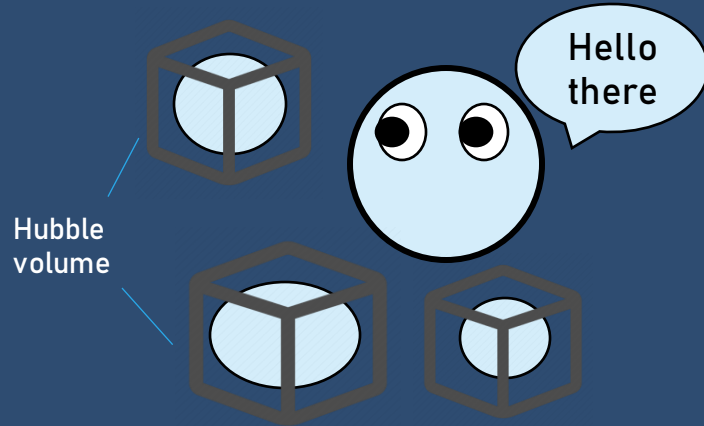
Features:

- phase transition happens at temperatures significantly below EW scale,
- thermally produced barrier lasts till $T=0$,
- Induces strong Gravitational Wave signal.

- Nucleation temperature



- Nucleation temperature



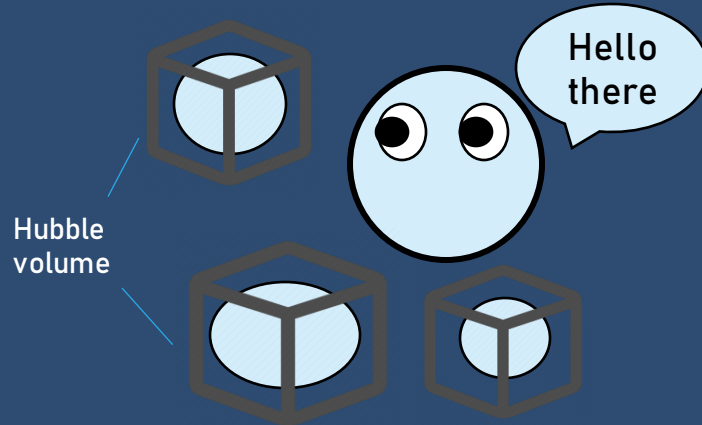
We calculate:
$$N(T_n) = \int_{T_n}^{T_c} \frac{dT}{T} \frac{\Gamma(T)}{H(T)^4} = 1$$

One can also use an approximation:

But not this one
$$\frac{S_3}{T} \simeq 140$$

$$\frac{\Gamma(T_n)}{H(T_n)^4} \simeq 1 \Rightarrow \frac{S_3}{T_n} = 4 \log \left(\frac{T_n}{H(T_n)} \right)$$

- Nucleation temperature

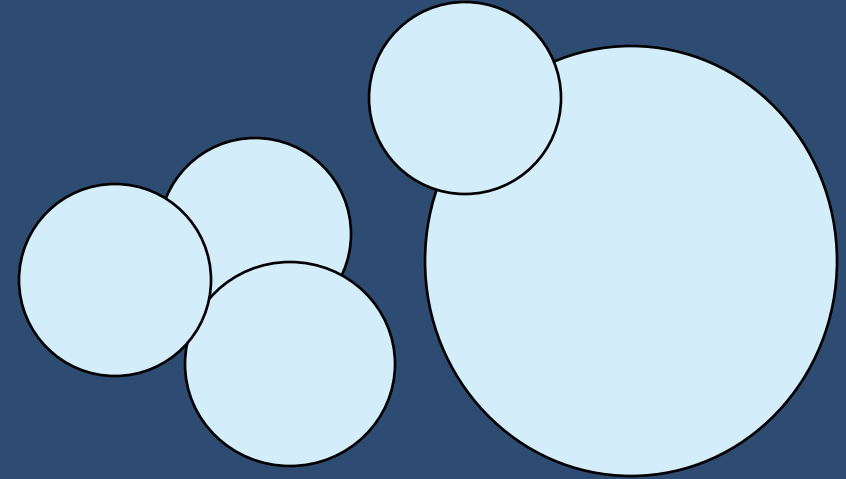


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- Percolation temperature



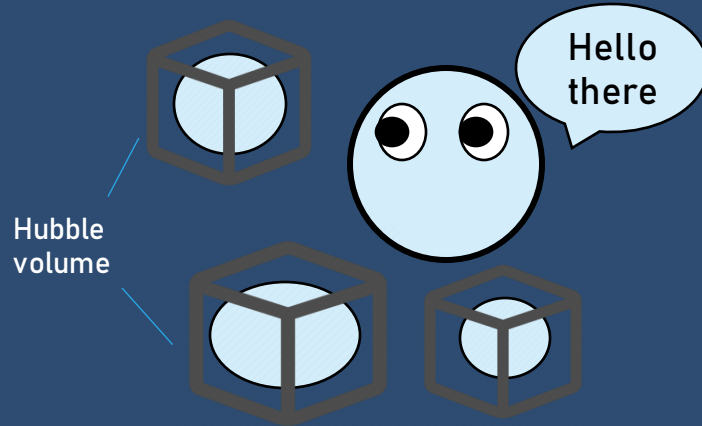
Probability of point still in false vacuum is $P = e^{-I(T)}$, where

$I(T)$ is the volume converted into true vacuum

Then we solve for condition:

$$I(T_p) \simeq 0.34$$

- Nucleation temperature



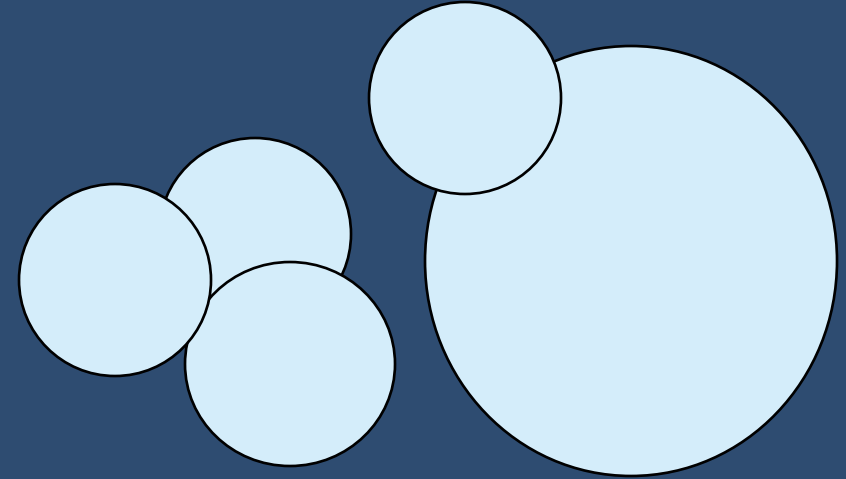
Are not equal
in models with
supercooling

We calculate:
$$N(T_n) = \int_{T_n}^{T_c} \frac{dT}{T} \frac{\Gamma(T)}{H(T)^4} = 1$$

One can also use an approximation:

$$\frac{\Gamma(T_n)}{H(T_n)^4} \simeq 1 \Rightarrow \frac{S_3}{T_n} = 4 \log \left(\frac{T_n}{H(T_n)} \right)$$

- Percolation temperature



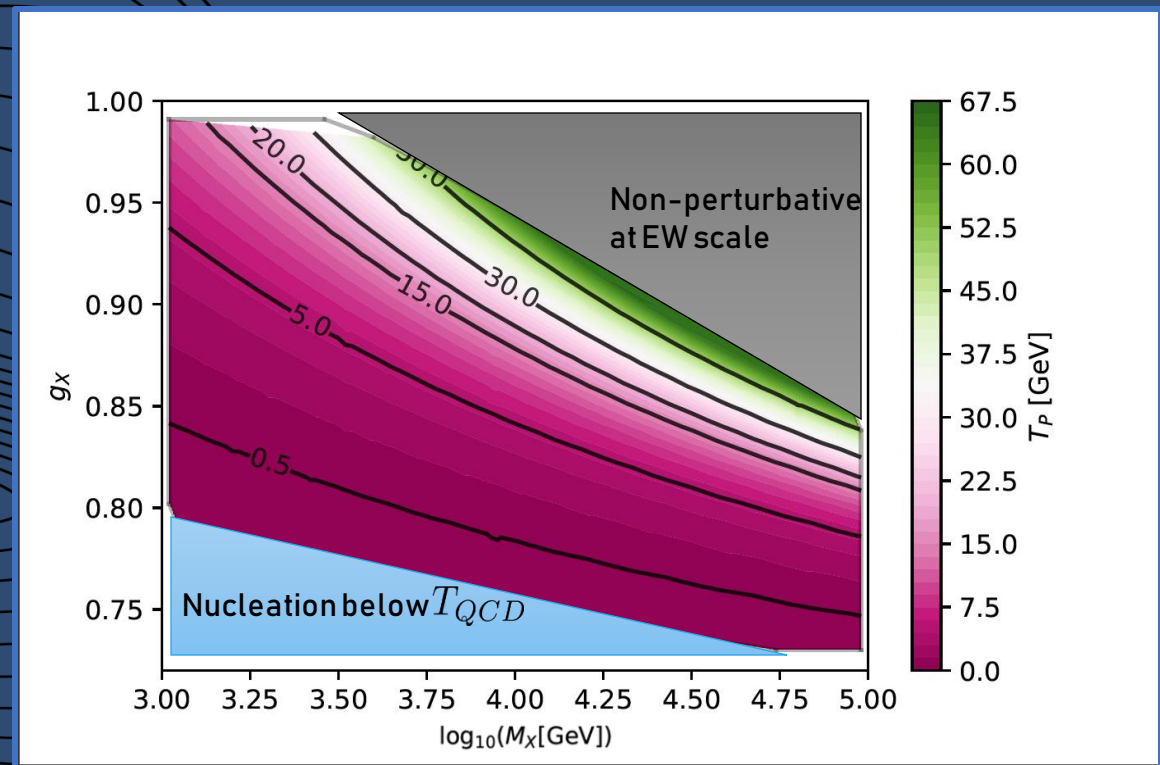
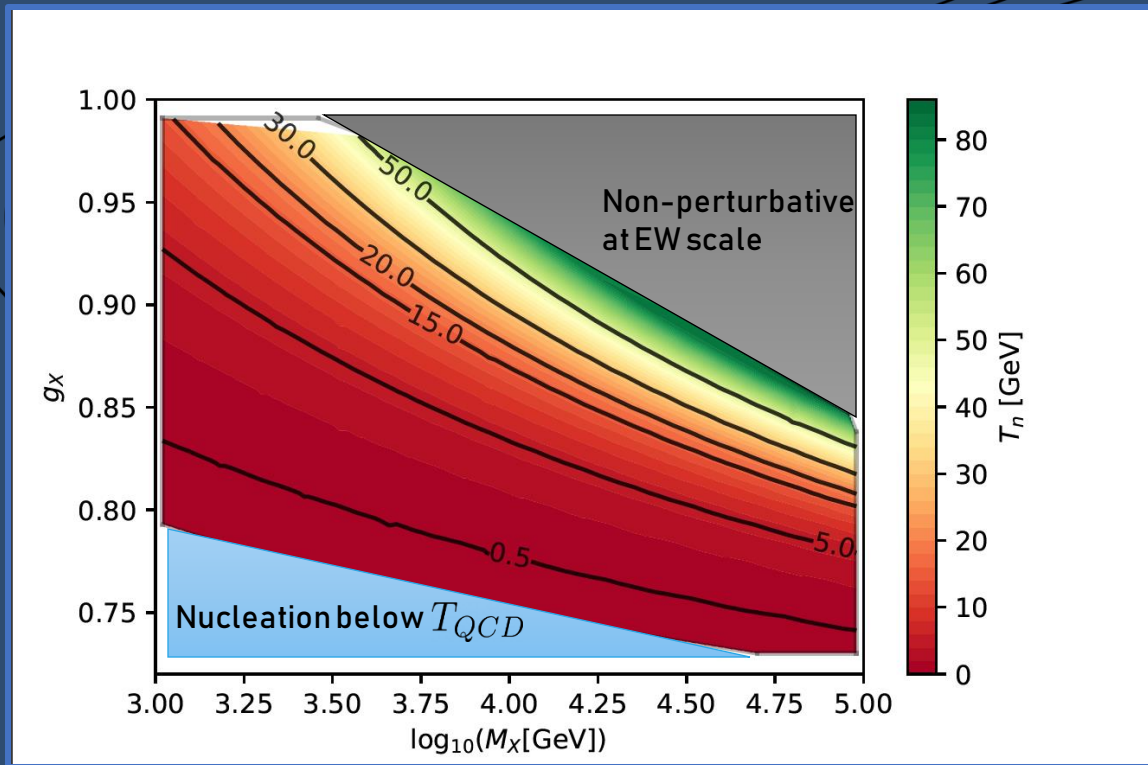
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Nucleation vs Percolation




$$\Omega_{\text{GW}} = \Omega_{\text{collisions}} + \Omega_{\text{sound waves}} + \Omega_{\text{turbulence}}$$

How do we know which source dominates?

Efficiency factors:

$$\kappa_{col} = \frac{E_{wall}}{E_V}$$

$$\kappa_{sw} \sim 1 - \kappa_{col}$$

And the main GW source are...

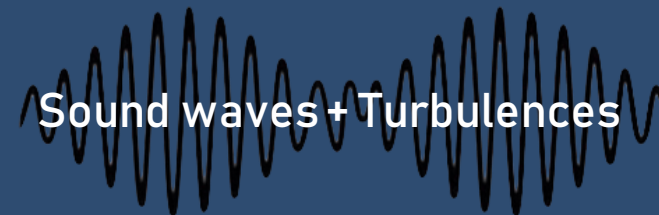
Where the energy goes?

There is a lot of friction

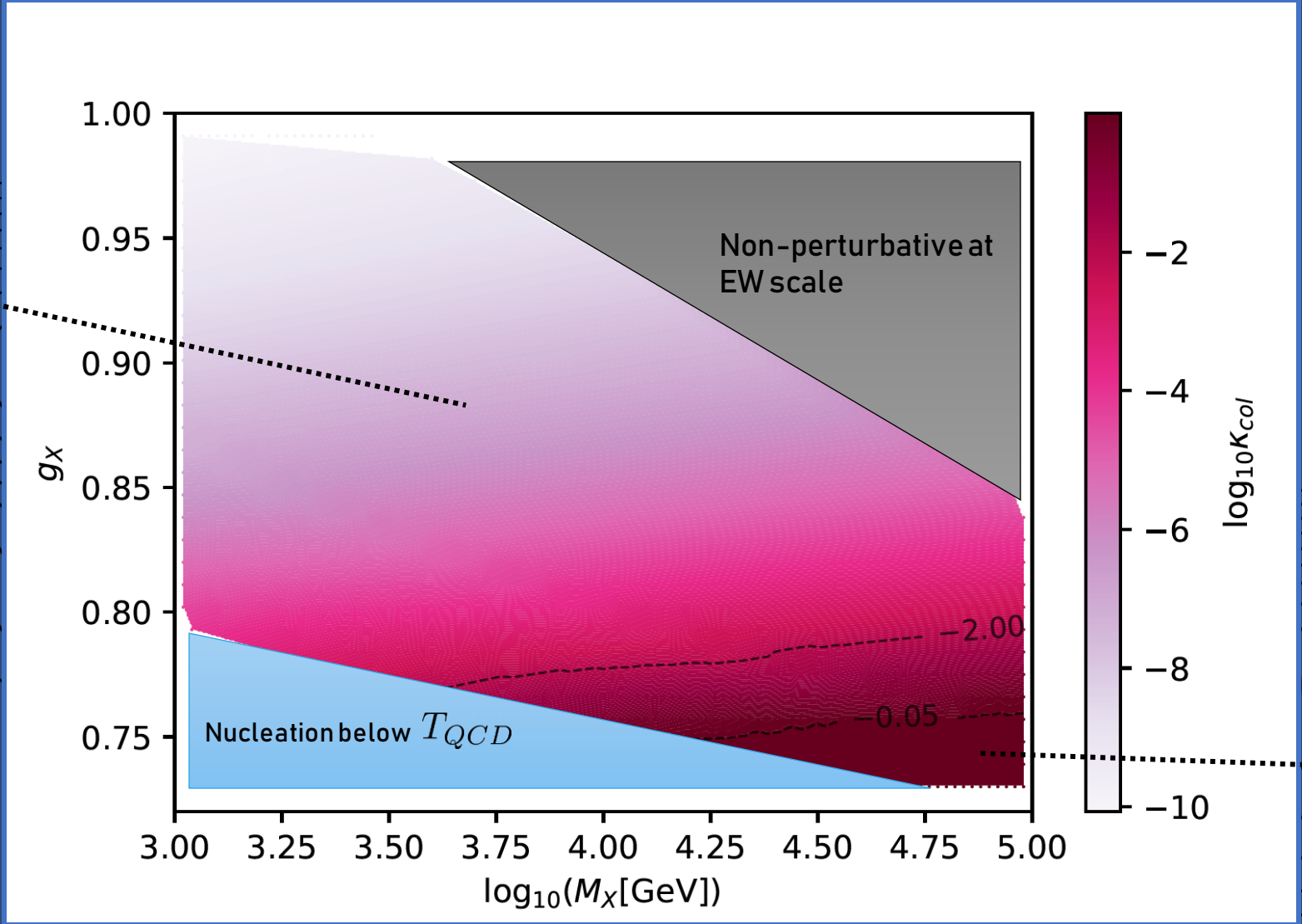
Bubble expansion accelerates

Energy is dissipated in the surrounding plasma

Energy goes to the bubble's wall



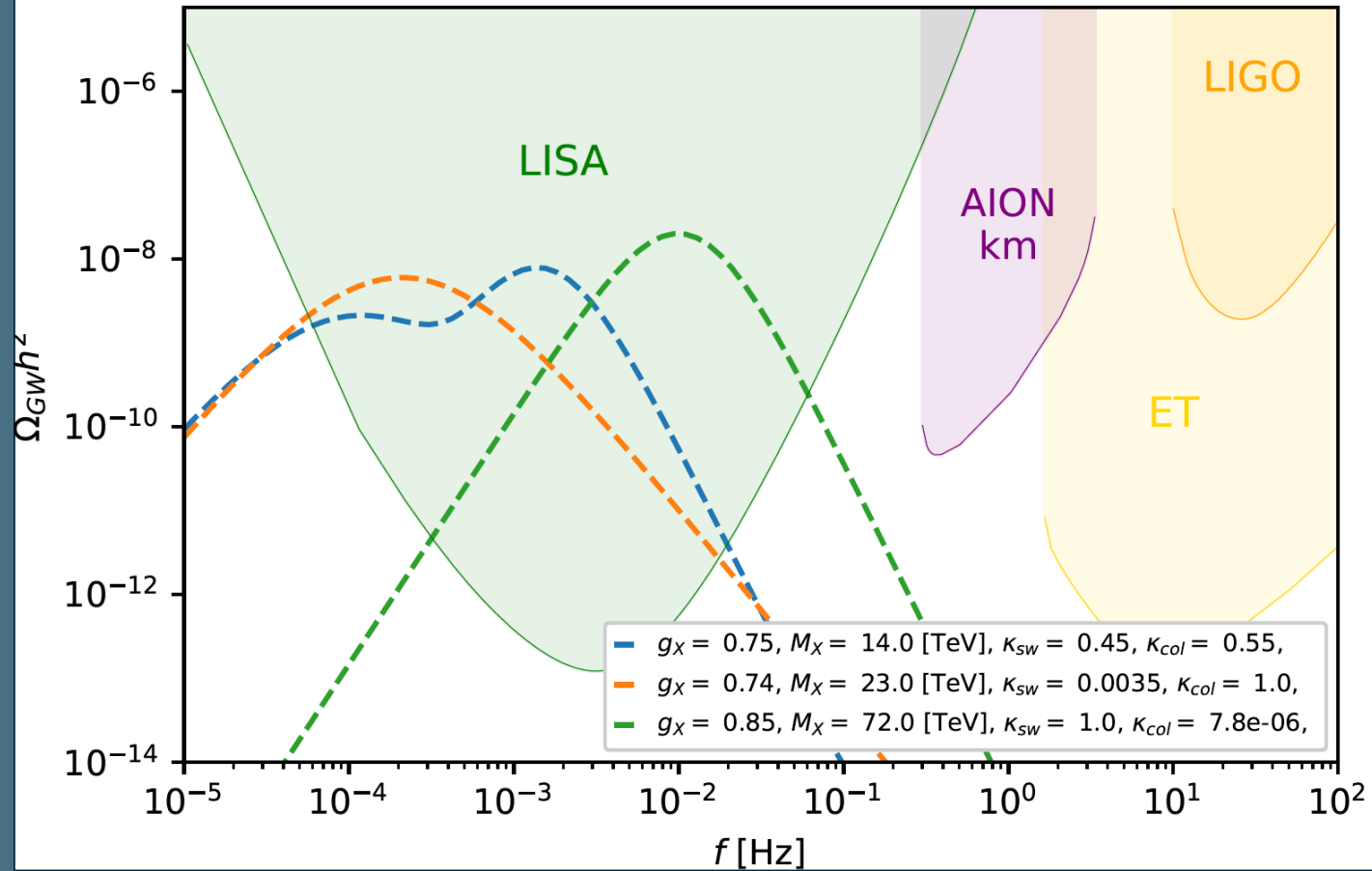
Energy transfer



Sound waves

Bubble collisions

(work in progress)



Goal: provide accurate predictions for LISA.

Thank you



NARODOWE CENTRUM NAUKI

Reheating temperature

$$\Gamma_\varphi > H_*$$

but if....

$$\Gamma_\varphi < H_*$$

- Reheating is instantaneous
- Released energy transforms into radiation
- Universe reheats up to the temperature T_V

- Energy will be stored in the scalar field oscillating about the true vacuum
- Matter domination until temperature at which decay rate is equal to Hubble parameter
- This matter domination period changes the shape of GW spectrum

Gravitational Wave signal in SU(2)cSM is generically strong and thus detectable

$$\alpha \sim \mathcal{O}(10^{10})$$

$$\Omega_{sw} h^2 \sim 4.13 \times 10^{-7} (R_* H_*) \left(\frac{\kappa_{sw} \alpha}{1 + \alpha} \right)$$