

# Four-top final states as a probe of Two-Higgs-Doublet models

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# Motivation

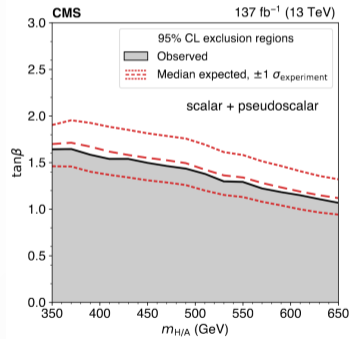
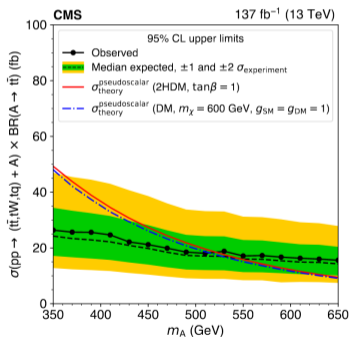
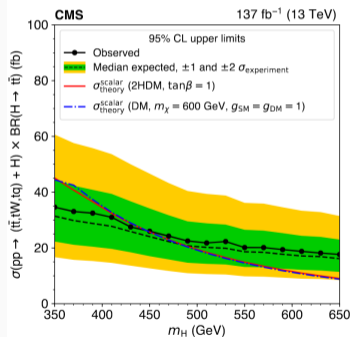
- The  $t\bar{t}t\bar{t}$  cross-section can be used to constrain the Yukawa coupling of top quarks to Higgs bosons and can be enhanced by BSM contributions
- Four top production with  $gg \rightarrow H \rightarrow t\bar{t}$  often have the largest branching ratios (large coupling)
- Existing BSM interpretations are limited to the alignment limit in selected models
- Implementation in the public code HiggsBounds which is now part of HiggsTools
- Study impact on Two-Higgs-Doublet models where four-top production places constraints on the low  $\tan\beta$  region

# Outline

- Four-top final-states at CMS
- Cross-section fit formulas
- Monte-Carlo- and detector-simulation setup
- Preliminary results
- Outlook

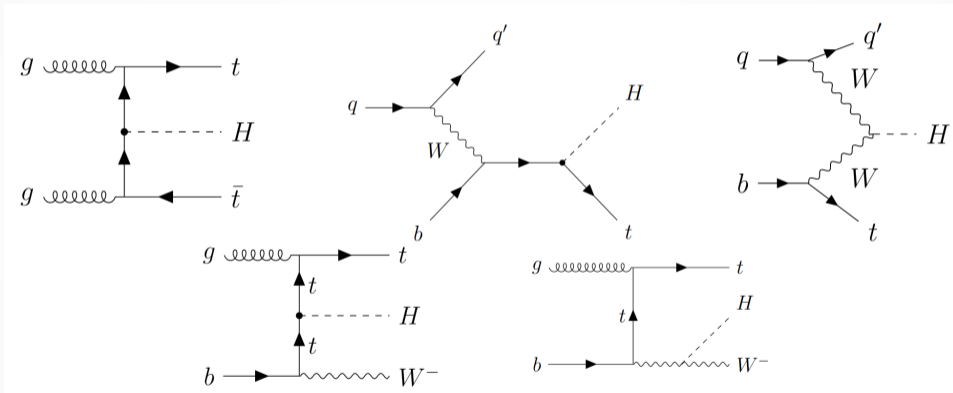
# Four-top final-states at CMS arxiv[1908.06463]

- We want to obtain upper limits on  $\sigma(pp \rightarrow (t\bar{t}, tW, t) + X) \times \text{BR}(X \rightarrow t\bar{t})$ , using Monte-Carlo and detector simulations.

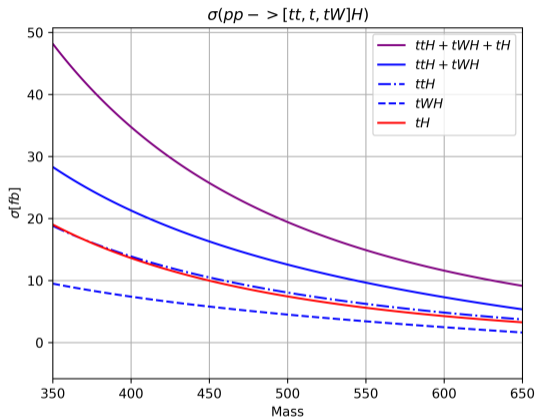


# Four-top final-states at CMS

- We specifically look at the subchannels of  $t\bar{t}H$ ,  $tH$  and  $tWH$  production.



## Cross-section of sub-channels



- $ttH$  and  $tWH$  can not be measured independently, so  $tWH$  should be included
- The cross-section of  $tH$  is of similar size as  $ttH$  and should not be neglected

## Effective model description

- Effective Lagrangian similar to Higgs-characterization model: [arxiv:\[1306.6464\]](https://arxiv.org/abs/1306.6464)

$$\mathcal{L}_{eff} = \mathcal{L}_{Yuk} + \mathcal{L}_V \quad (1)$$

$$\mathcal{L}_{Yuk} = -\frac{y_t^{SM}}{\sqrt{2}} \bar{t}(c_t + i\gamma_5 \tilde{c}_t)tX \quad (2)$$

$$\mathcal{L}_V = c_V X \left( \frac{M_Z^2}{\nu} Z_\mu Z^\mu + 2\frac{M_W^2}{\nu} W_\mu^+ W^{-\mu} \right) \quad (3)$$

- $y_t^{SM}$  is the SM top-Yuakwa coupling, X denotes a generic Scalar and t,W,Z denote the top-quark and Vector-boson fields
- $c_t, \tilde{c}_t, c_V$  are the  $\mathcal{CP}$ -even and  $\mathcal{CP}$ -odd coupling to top-quarks and Vector-bosons (rescaled to the SM)

## Cross-section fit formulas

Derive fit formulas for the total cross-section and in each signal region for the subchannels  $tH, t\bar{t}H, tWH, ggH$ :

$$\sigma \propto (a_1 c_V^2 + a_2 c_V c_t + a_3 c_t^2 + a_4 \tilde{c}_t^2) \cdot (b_1 c_t^2 + b_2 \tilde{c}_t^2) \quad (4)$$

Where the first bracket comes from the production and the second from the decay. We get:

$$\sigma \propto c_1 c_v^2 c_t^2 + c_2 c_V^2 \tilde{c}_t^2 + c_3 c_V c_t^3 + c_4 c_V c_t \tilde{c}_t^2 + c_5 c_t^4 + c_6 c_t^2 \tilde{c}_t^2 + c_7 \tilde{c}_t^4 \quad (5)$$

All other possible terms are zero because of the non-interference of CP-even and CP-odd contributions



## Cross-section fit formulas

The coefficients  $c_{1-7}$  can be extracted by calculation cross-sections for 7 different parameter points.

- $c_t = 1, \tilde{c}_t = 0, c_V = 0 \longrightarrow \sigma_1 = c_5$
- $c_t = 0, \tilde{c}_t = 1, c_V = 0 \longrightarrow \sigma_2 = c_7$
- $c_t = 1, \tilde{c}_t = 1, c_V = 0 \longrightarrow \sigma_3 = c_5 + c_6 + c_7$
- $c_t = 1, \tilde{c}_t = 0, c_V = 1 \longrightarrow \sigma_4 = c_1 + c_3 + c_5$
- $c_t = 1, \tilde{c}_t = 0, c_V = 2 \longrightarrow \sigma_5 = 4c_1 + 2c_3 + c_5$
- $c_t = 1, \tilde{c}_t = 1, c_V = 1 \longrightarrow \sigma_6 = c_1 + c_2 + c_3 + c_4 + c_5 + c_6 + c_7$
- $c_t = 1, \tilde{c}_t = 1, c_V = 2 \longrightarrow \sigma_7 = 4c_1 + 4c_2 + 2c_3 + 2c_4 + c_5 + c_6 + c_7$

## Monte-Carlo- and detector-simulation setup

- Use MadGraph5 to calculate the total cross-section  $\sigma_{tot}$  for each subchannel with 7 different coupling-configurations
- We use NNPDF3.0 for the Parton Distribution Functions
- We generate each configuration for masses of a generic scalar  $X$  between 350 and 1000 GeV by using the Higgs-characterization model with 50000-100000 events for each.
- The scalars can have couplings top quarks ( $c_t, \tilde{c}_t$ ) and vector bosons ( $c_V$ )
- As a result the scalar can be either CP-even, CP-odd or CP-mixed, thus extending the original analysis

## Monte-Carlo- and detector-simulation setup

- Using MadAnalysis we recast MadGraph5 results with an implementation of the analysis by *Fuks et al.* and application in *Maltoni et al.* [arxiv:2104.09512]
- We obtain the efficiency, which is the number of signal-events divided by the number of initial events:

$$\epsilon = \frac{N}{N_{\text{tot}}} \quad (6)$$

- The cross-section in each signal-region is then given by:

$$\sigma = \epsilon \cdot \sigma_{\text{tot}} \quad (7)$$

- The Limit on  $\sigma \times BR$  is obtained from the number of signal events. E.g, in the CP-even case, we have

$$N_{\text{signal}} = c_t^4 \mathcal{L} \cdot [\sigma(tt\bar{t}H, H \rightarrow t\bar{t})\epsilon_{t\bar{t}H} + \sigma(tH, H \rightarrow t\bar{t})\epsilon_{tH} + \sigma(tWH, H \rightarrow t\bar{t})\epsilon_{tWH}]_{c_t=1} \quad (8)$$

## Monte-Carlo- and detector-simulation setup

- We combine the 14 signal regions into one region.

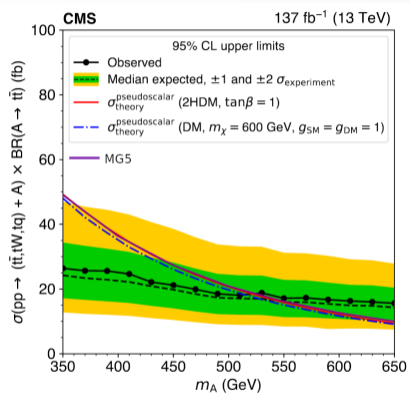
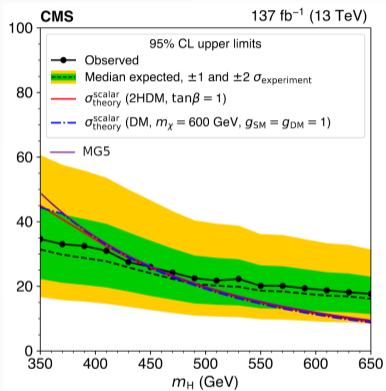
$N_\ell$	$N_b$	$N_j$	Region	$t\bar{t}\bar{t}\bar{t}$ (SM - CMS)
2	2	6	SR1	$1.89 \pm 1.14$
2	2	7	SR2	$1.04 \pm 0.57$
2	2	$\geq 8$	SR3	$0.67 \pm 0.38$
2	3	5	SR4	$1.51 \pm 0.85$
2	3	6	SR5	$1.61 \pm 0.90$
2	3	7	SR6	$1.14 \pm 0.66$
2	3	$\geq 8$	SR7	$0.85 \pm 0.47$
2	$\geq 4$	$\geq 5$	SR8	$2.08 \pm 1.23$

$N_\ell$	$N_b$	$N_j$	Region	$t\bar{t}\bar{t}\bar{t}$ (SM - CMS)
$\geq 3$	2	5	SR9	$0.66 \pm 0.38$
$\geq 3$	2	6	SR10	$0.33 \pm 0.21$
$\geq 3$	2	$\geq 7$	SR11	$0.22 \pm 0.13$
$\geq 3$	$\geq 3$	4	SR12	$0.56 \pm 0.32$
$\geq 3$	$\geq 3$	5	SR13	$0.66 \pm 0.38$
$\geq 3$	$\geq 3$	$\geq 6$	SR14	$0.76 \pm 0.45$

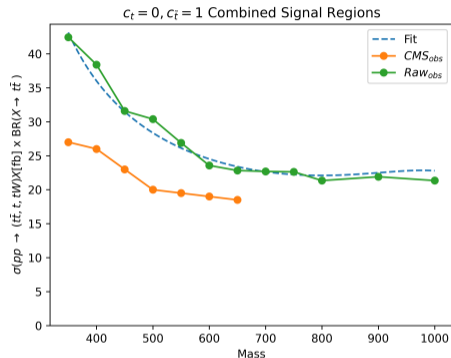
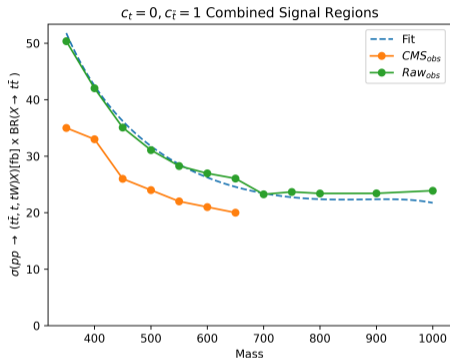
Figure: [arxiv:2104.09512]

# Preliminary results



- Good agreement of the theory predicted cross-section.

# Preliminary results



- Slightly weaker limit but overall good agreement
- We sum up the SR of the cut-based analysis
- CMS limit uses BDT analysis and can combine signal regions more carefully

# Summary

## Work done

- We generated and recasted Monte-Carlo events for four-top final states with a generic scalar  $X$
- Derivation of Fit formulas for the total cross-section and in each signal region
- Upper-limits on the cross-section times branching fraction in the alignment limit

## Outlook

- Upper-limits on the cross-section times branching fraction for CP-odd and CP-mixed states
- Implementation in the public code `HiggsBounds`
- Detailed study on the impact in Two-Higgs-Doublet models and other BSM models by four-top final states