# **Dark Matter from Exponential Growth**

**Originally proposed as Pandemic Dark Matter** 

Based on Phys. Rev. Lett. 127 (2021) 191802

Paul Frederik Depta Max-Planck-Institut für Kernphysik

In collaboration with T. Bringmann, M. Hufnagel, J. Kersten, J. T. Ruderman, and K. Schmidt-Hoberg

Planck 2022 30 May 2022





#### Thermal





Dark Matter from Exponential Growth | Paul Frederik Depta | 30 May 2022

#### Non-Thermal





### Thermal





Dark Matter from Exponential Growth | Paul Frederik Depta | 30 May 2022

### Non-Thermal



Less variants for freeze-in

Dark Matter from Exponential Growth

Bringmann, PFD et al. 2103.16572 Hryczuk, Laletin 2104.05684

(First DM production mechanism w/ exponential growth!)



### Outline

- Production by transformation
- Evolution of the DM abundance
- Phase diagram
- Higgs portal model
- Connection to sterile neutrinos





### **Production by transformation**







### **Production by transformation**





Dark Matter from Exponential Growth | Paul Frederik Depta | 30 May 2022



 $\theta$ 

 $\theta$ 

PFD et al. 2103.16572 Bringmann,



# **Production by transformation**

- $\dot{n}_{\chi} + 3Hn_{\chi} = \langle \sigma v \rangle_{\text{tr}} n_{\psi}^{\text{eq}} n_{\chi}$   $Y_{\chi}(x_{\psi}) \equiv n_{\chi}/s \simeq Y_{\chi}^{0} \exp\left(3\int_{x_{\psi}^{0}}^{x_{\psi}} \frac{\mathrm{d}x}{x}R(x)\right)$
- $R(x) = \frac{n_{\psi}^{eq} \langle \sigma v \rangle_{tr}}{3H}$ : # of transformations of DM particle per Hubble time
- $\rightarrow$  Phase of exponential production
- Shutoff by kinematical or Boltzmann suppression
- Constant matrix element for simplicity





### **Evolution of DM abundance Fixed initial abundance**



 $\dot{n}_{\chi} + 3Hn_{\chi} = \langle \sigma v \rangle_{\rm tr} n_{\psi}^{\rm eq} n_{\chi}$ 









### **Evolution of DM abundance** Initial abundance from freeze-in



 $\dot{n}_{\chi} + 3Hn_{\chi} = \langle \sigma v \rangle_{\rm tr} n_{\psi}^{\rm eq} n_{\chi} + \langle \sigma v \rangle_{\rm fi} (n_{\psi}^{\rm eq})^2$ 









 $\dot{n}_{\chi} + 3Hn_{\chi} =$ 





Dark Matter from Exponential Growth | Paul Frederik Depta | 30 May 2022

### $\langle \sigma v \rangle_{\rm fi} [(n_{\psi}^{\rm eq})^2]$



 $\dot{n}_{\chi} + 3Hn_{\chi} = \langle \sigma v \rangle_{\rm tr} [n_{\psi}^{\rm eq} n_{\chi}]$ 



Dark Matter from Exponential Growth | Paul Frederik Depta | 30 May 2022

### ] + $\langle \sigma v \rangle_{\rm fi} [(n_{\psi}^{\rm eq})^2]$



 $\dot{n}_{\gamma} + 3Hn_{\gamma} = \langle \sigma v \rangle_{\rm tr} [n_{\psi}^{\rm eq} n_{\gamma}]$ 





Dark Matter from Exponential Growth | Paul Frederik Depta | 30 May 2022

### ] + $\langle \sigma v \rangle_{\rm fi} [(n_{\psi}^{\rm eq})^2]$













### Phenomenological consequences Higgs portal $\lambda_{h\psi} |H|^2 \psi^2/2$













# **Connection to sterile neutrinos**

- Convenient way to realize  $\lambda_{\rm fi} \ll \lambda_{\rm tr}$ : Two fermions with tiny mass mixing, only one (mostly  $\chi$ ) interacts with some mediator via Yukawa coupling
- After mass diagonalization:
  - $\bar{\chi}\chi$  vertices  $\propto \cos^2\theta \sim 1$
  - $\bar{\psi}\chi$  vertices  $\propto \cos\theta\sin\theta \sim \theta$
  - $\bar{\psi}\psi$  vertices  $\propto \sin^2\theta \sim \theta^2$
- What if  $\psi$  further is in the SM?
- $\rightarrow$  Sterile neutrino, mass-mixing with active, coupling between mediator and sterile in flavorspace







**Connection to sterile neutrinos** 

 $\mathscr{L} \supset \frac{y}{2} \phi \bar{\nu}_s \nu_s \rightarrow \frac{y}{2} \phi [\sin^2 \theta \bar{\nu}_\alpha \nu_\alpha - \sin \theta \cos \theta (\bar{\nu}_\alpha \nu_s + \bar{\nu}_s \nu_\alpha) + \cos^2 \theta \bar{\nu}_s \nu_s]$ 











## Conclusions

- New non-thermal DM production mechanism involving exponential growth
- Complements freeze-in and freeze-out scenarios
- Interesting phenomenological consequences  $\bullet$
- Specific model realizations:
  - Higgs portal as simple example
  - Connection to sterile neutrinos lacksquare
    - stay tuned for upcoming publication!





# Thank you!



