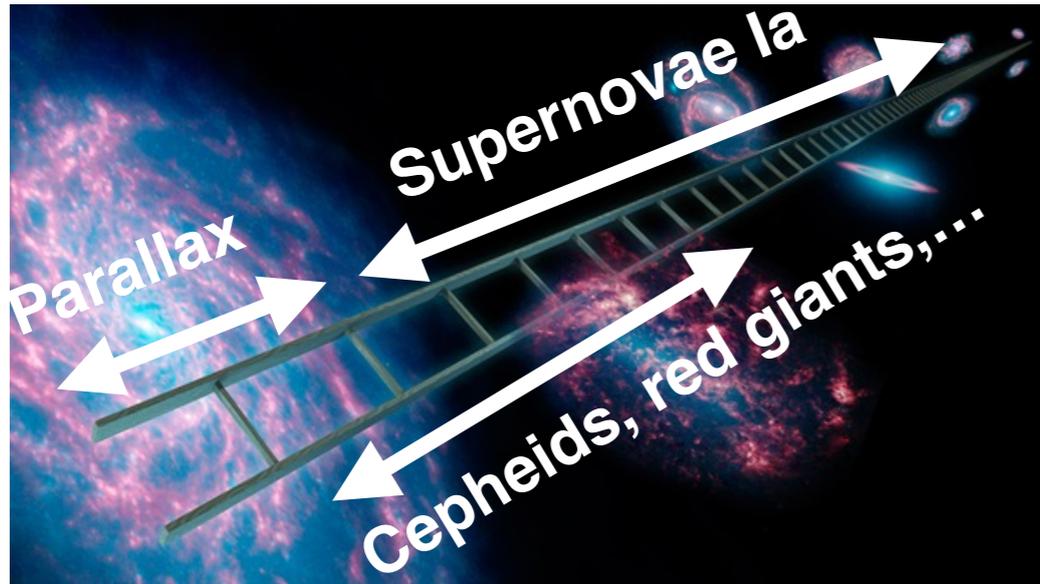


Involving Maria Archidiacono, Niklas Becker, Thejs Brinckmann, Manuel Buen-Abad, Stefan Heimersheim, Deanna Hooper, Misha Ivanov, Andrea Perez-Sanchez, Matteo Lucca, Nils Schöneberg, Sam Witte, + more senior collaborators...

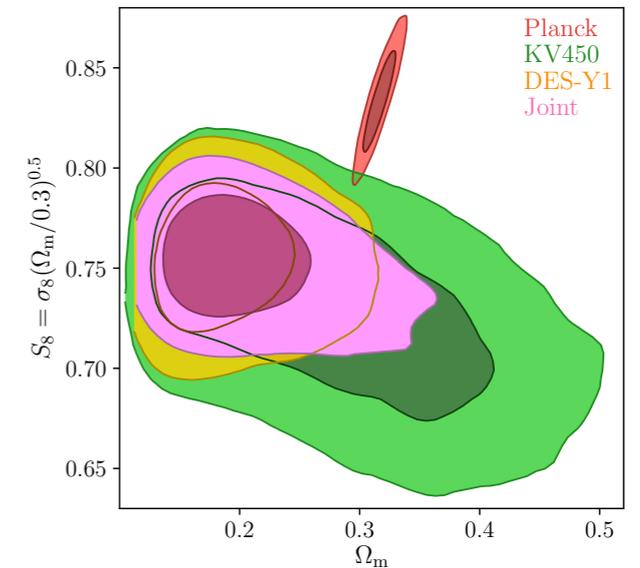
J. Lesgourgues

Institut für Theoretische Teilchenphysik und Kosmologie (TTK), RWTH Aachen University

H_0 and S_8 tensions



Local current expansion rate H_0 from distance ladder



Matter fluctuation amplitude S_8 from weak lensing

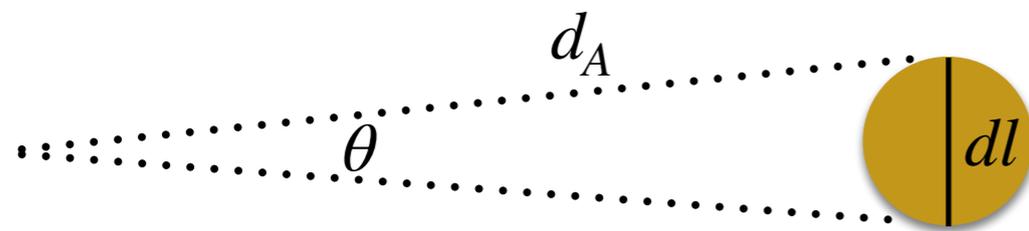
4 to 5σ

Repeated 2 to 3σ

(H_0, S_8) reconstructed from most other datasets (Planck, BAO...), in model-dependent way, assuming LCDM

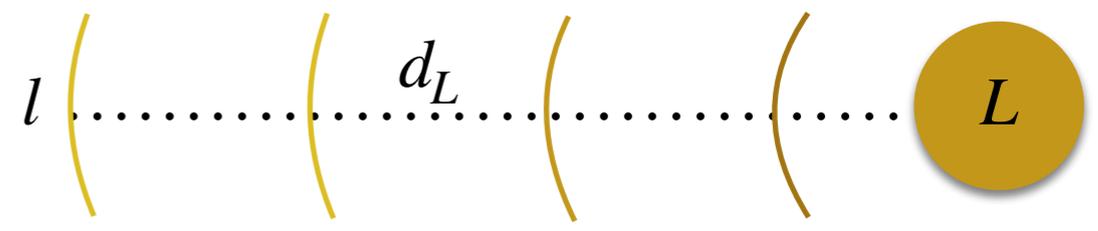
Distances in cosmology

Angular diameter distance $d_A \equiv \frac{dl}{d\theta}$



Standard ruler

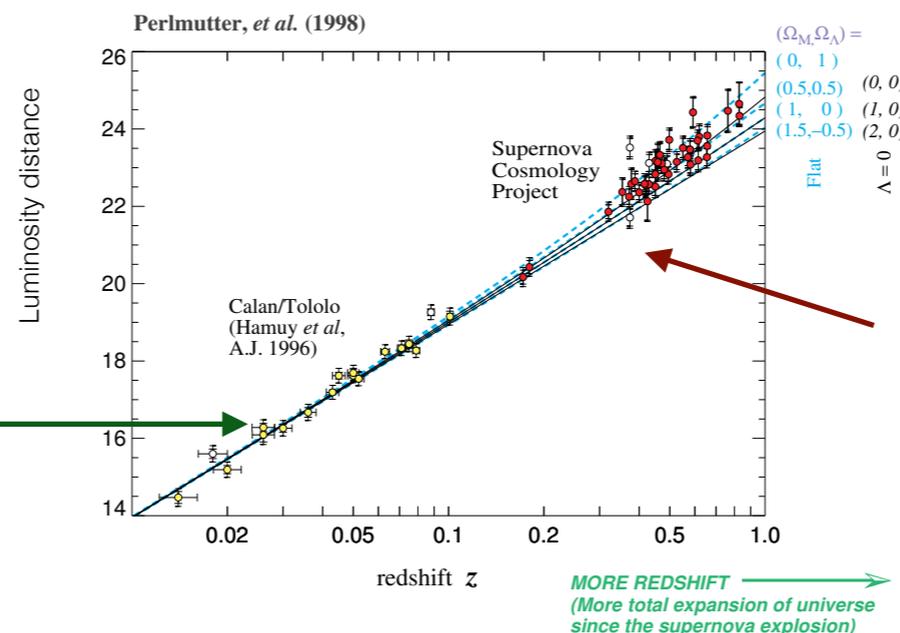
Luminosity distance $d_L \equiv \sqrt{\frac{L}{4\pi l}}$



Standard candle

Relation between distances and redshift $d_L = a(t_0) (1 + z_e) f_k \left(\int_0^{z_e} \frac{c dz}{a(t_0) H(z)} \right) = (1 + z_e)^2 d_A$

↑
redshift z = "look-back time"



Second derivative $\Rightarrow \Omega_k, \Omega_\Lambda$

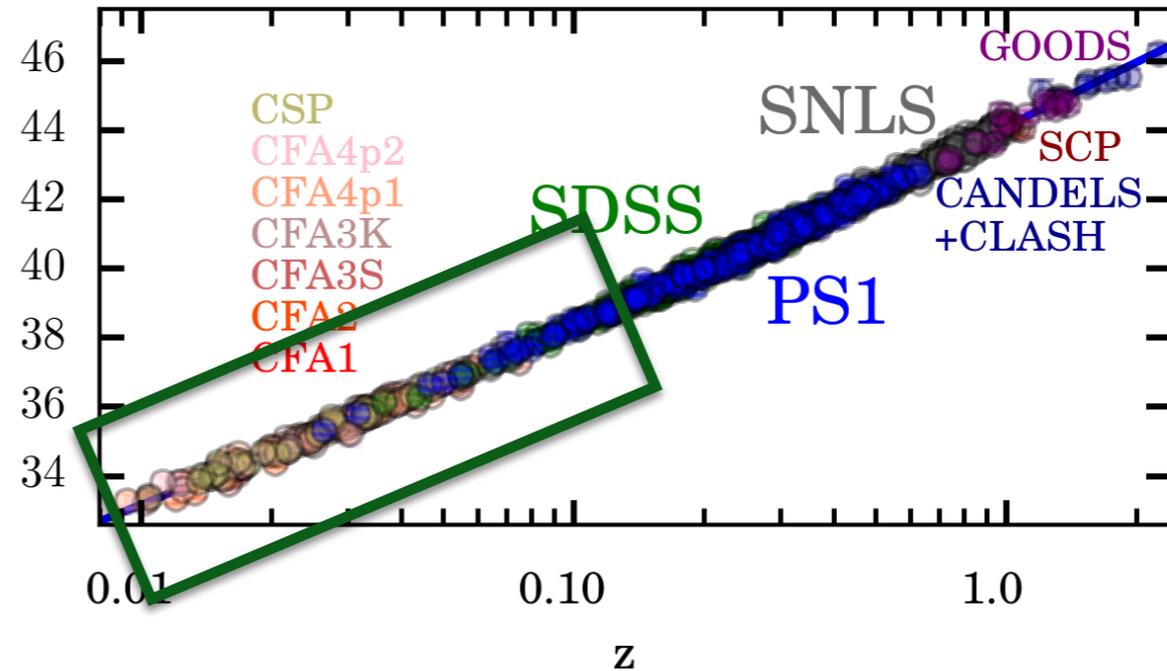
"Late" probes of Hubble rate (Supernovae luminosity)

H_0 from cepheids and supernovae :

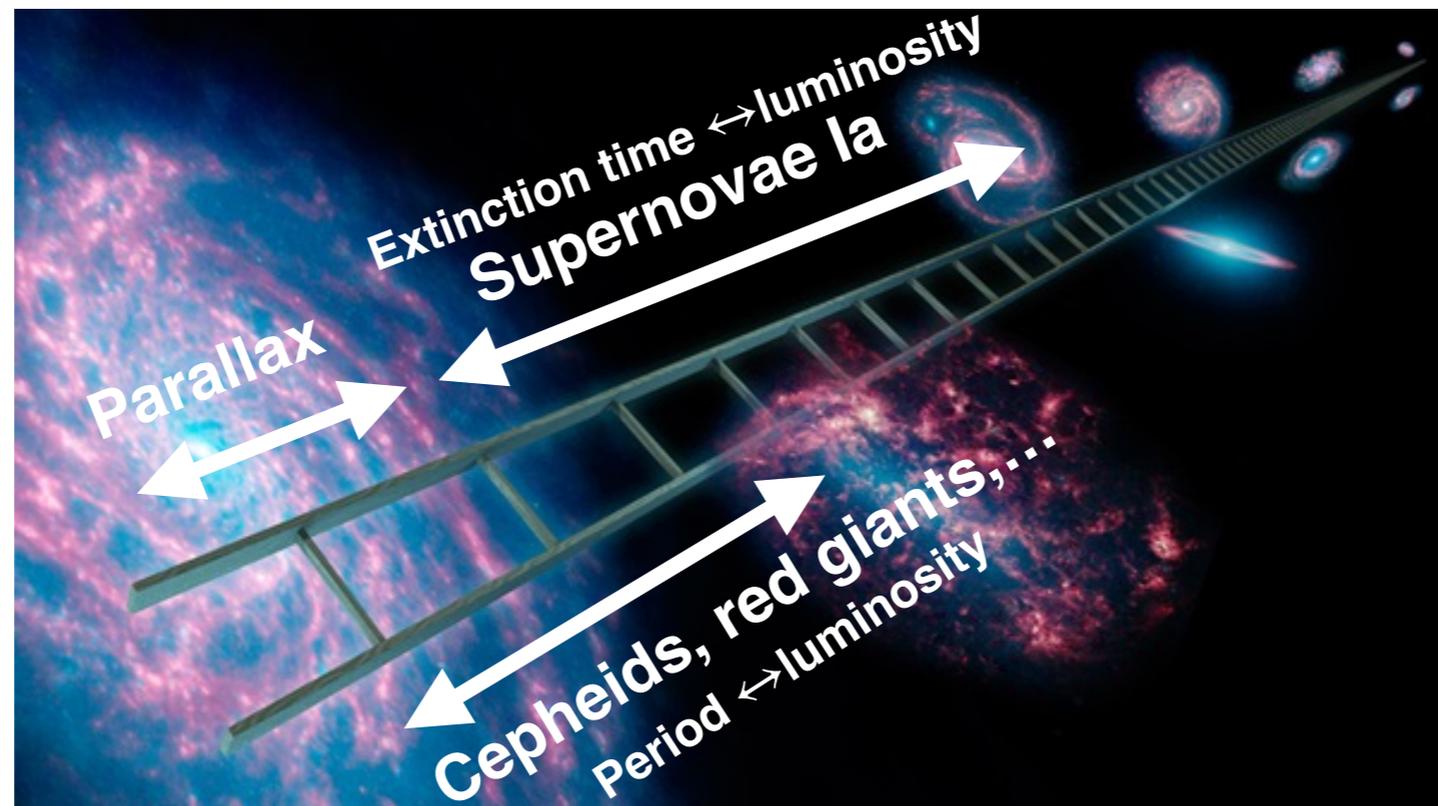
Luminosity distance

SH0ES: large $H_0 \sim 73$ km/s/Mpc \leftarrow

Riess et al. 2021



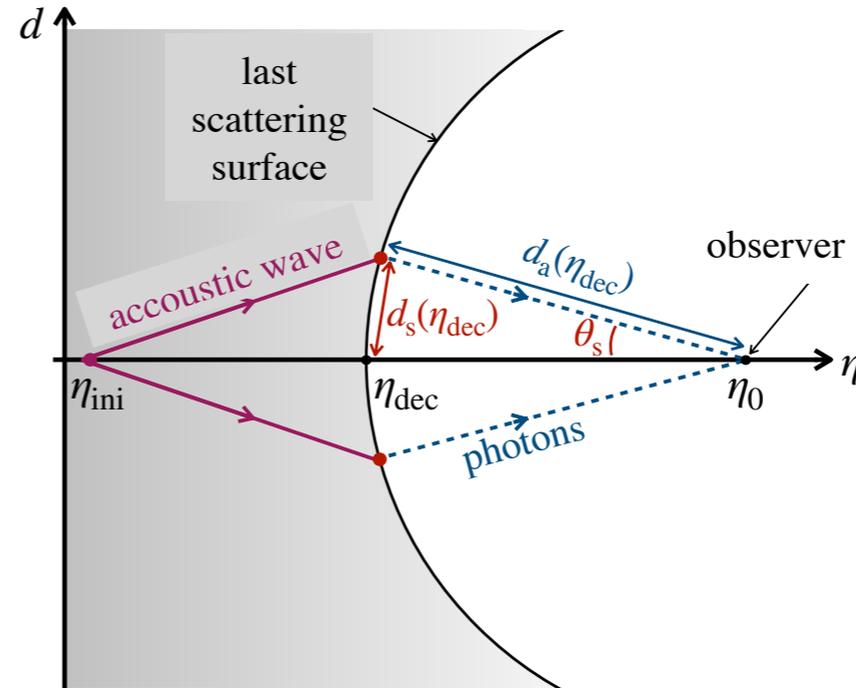
Use standard candles and "distance ladder":



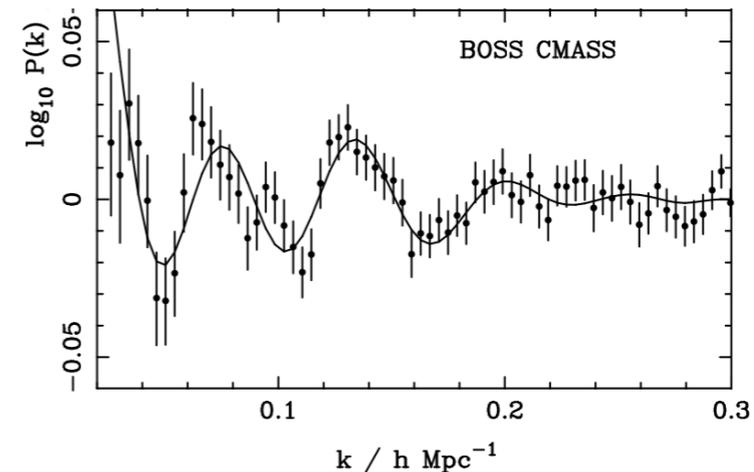
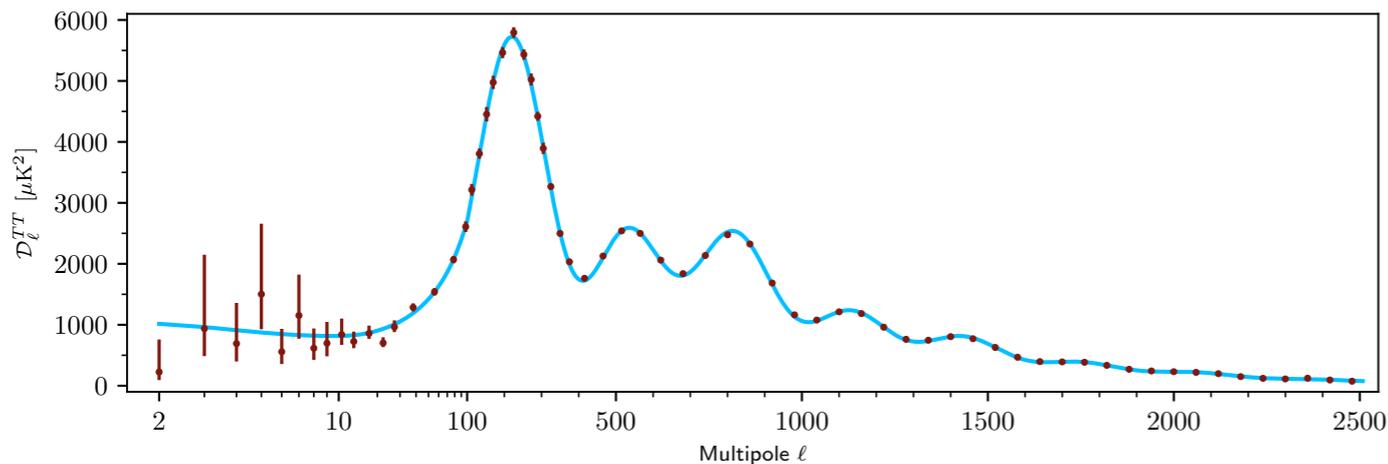
“Early” probes of Hubble rate (CMB, Baryon Acoustic Oscillations)

H_0 from sound horizon = standard ruler:

$$\theta(z) = \frac{\int_{z_D}^{\infty} c_s(\omega_b, \tilde{z}) H(\tilde{z})^{-1} d\tilde{z}}{\int_0^z H(\tilde{z})^{-1} d\tilde{z}}$$



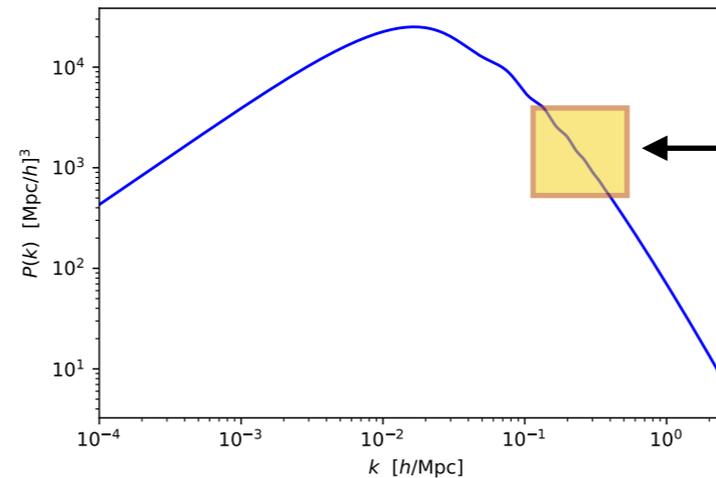
$\theta(z)$ = scale of the peak in CMB spectrum, or in Baryon Acoustic Oscillations in galaxy spectrum



⇒ low H_0 ~68 km/s/Mpc even without CMB, but with BAO (+ Nucleosynthesis)

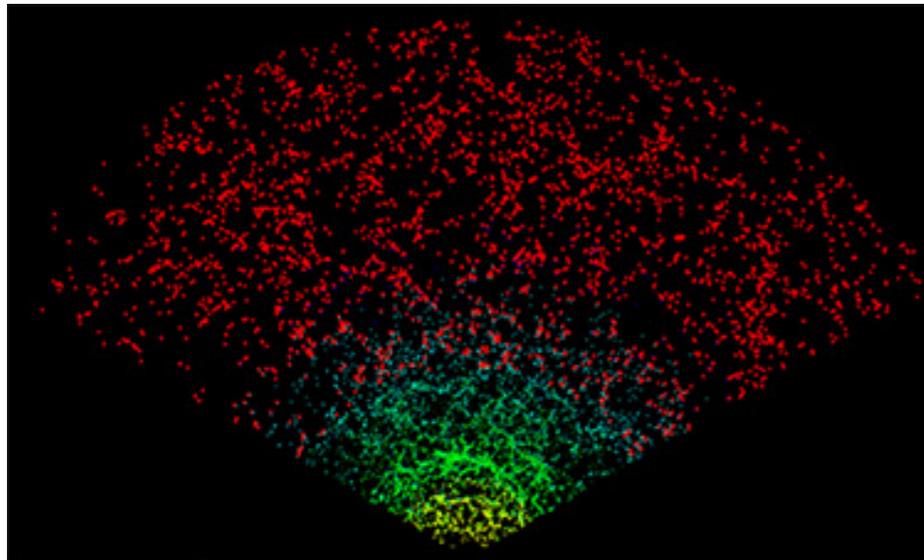
Matter power spectrum

$P(k, z)$ = 2-point correlation function of smoothed matter density field at redshift z , expanded in Fourier space

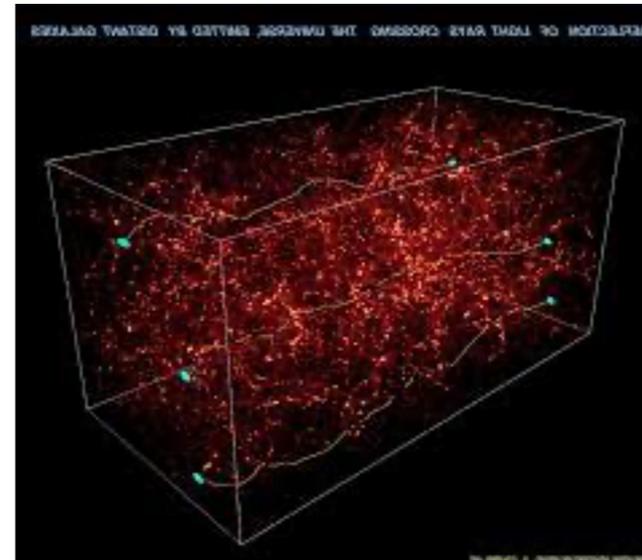


S_8 = amplitude of $P(k, z)$ around $k \sim 0.2 h/\text{Mpc}$ and $z \sim 0.6$

Galaxy surveys: shape, not amplitude



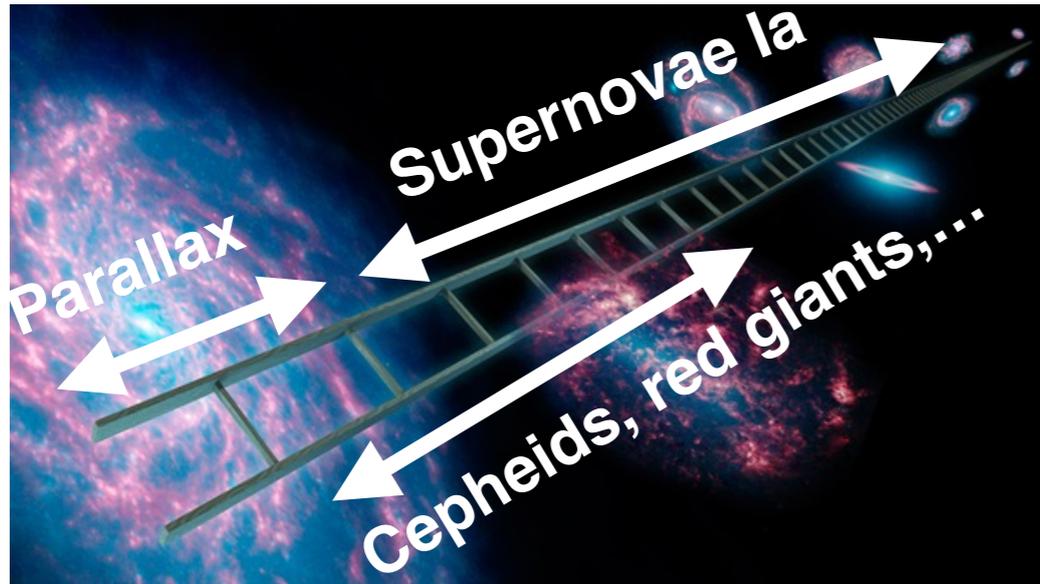
Weak lensing survey: low S_8 (also: cluster count)



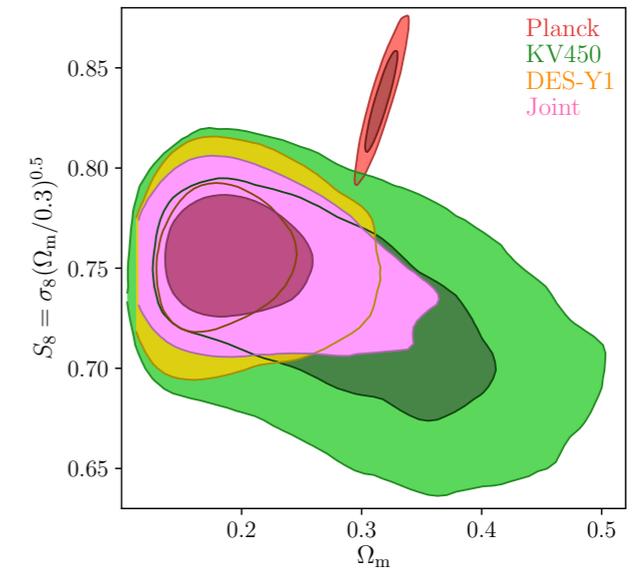
\Rightarrow low $S_8 \sim 0.77$

Indirect: Λ CDM model fitted to Planck \Rightarrow high $S_8 \sim 0.86$

H_0 and S_8 tensions



Local current expansion rate H_0 from distance ladder



Matter fluctuation amplitude S_8 from weak lensing

4 to 5σ

Repeated 2 to 3σ

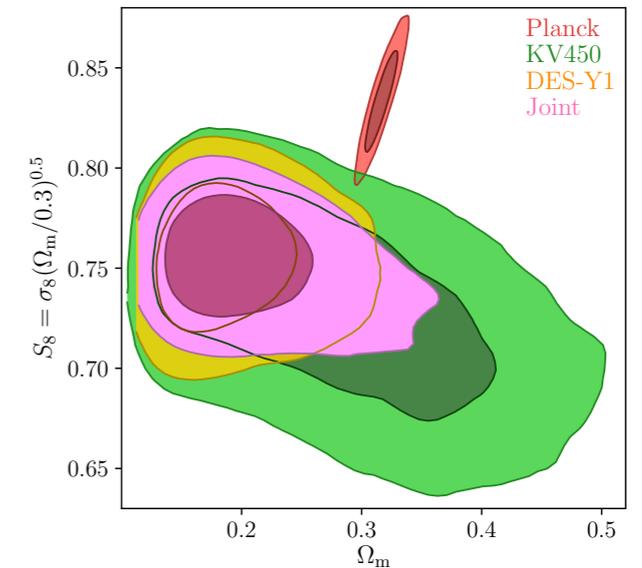
(H_0, S_8) reconstructed from most other datasets (Planck, BAO...), in model-dependent way, assuming LCDM

H_0 and S_8 tensions

Systematics in direct H_0 measurements
(Environnement-bias of SNIa close to
cepheids, variations in cepheids:
[Mortsell et al. 2105.11461](#), [2106.09400](#);
mass-sheet degeneracy of quasar time
delay analysis,...)

Local current expansion rate H_0 from
distance ladder

4 to 5σ



Matter fluctuation amplitude
 S_8 from weak lensing

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Systematics in cosmic shear
surveys: Photometric redshift errors

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Systematics in CMB
(Unknown foregrounds, insufficient
instrument modelling)

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Local current expansion rate H_0 from
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Systematics in cosmic shear
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Matter fluctuation amplitude
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Small deviations from LCDM with new ingredients
(DM, DE, MG, magnetic fields, etc.),
or large-scale deviation from Friedmann model

Systematics in CMB
(Unknown foregrounds, insufficient
instrument modelling)

Solving the S_8 tension alone

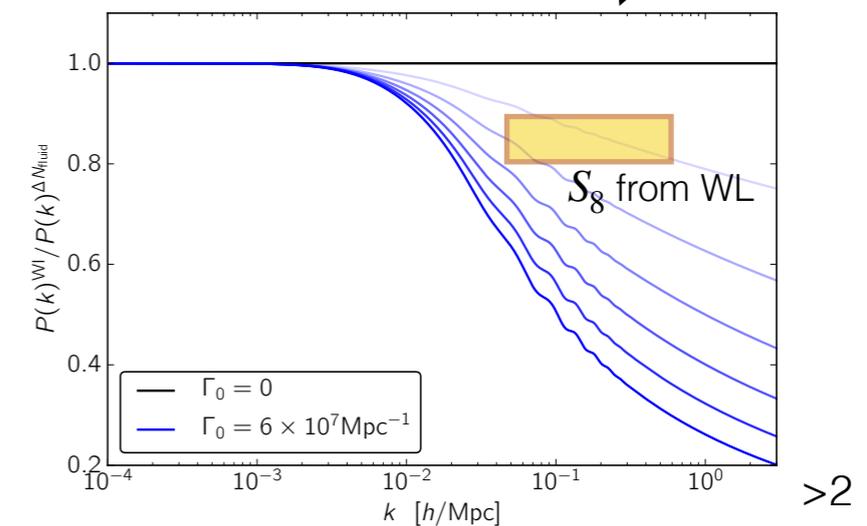
Does not work:

- Standard neutrino mass $\sum m_\nu \sim 0.2$ eV (z_{NR} close to z_{dec} -> early ISW; not enough CMB lensing)
- pure Warm Dark Matter (exponential cut-off conflicting Lyman- α observations)
- Simplest decaying DM models (decay between $z \sim 1000$ and $z \sim 1$ into electromagnetic components: strong energy injection bounds; into neutrinos / dark radiation -> late ISW) (Chudaykin et al. 1602.08121, Poulin et al. 1606.02073, DES 2011.04606, ...)

Works well:

- Many Modified Gravity (MG) models (e.g. $f(R)$)
- Feebly interacting DM (with relativistic particles: photons or DR; collisional damping) (Buen-Abad et al. 1708.09406; Becker et al. 2010.04074)
- Cold + Warm DM (small fraction of \sim keV DM) (Boyarsky et al. 0812.0010)
- Long-lived CDM decaying into massless + massive but lighter particle; possible connection with Xenon-1T (Abellan et al. 2008.09615)
- Cannibal DM (inelastic scattering $3 \rightarrow 2$ causing slow transition from radiation-like to matter-like (Heimersheim et al. 2008.08486)
- Connection with small-scale CDM crisis...
- Testable with Lyman- α (should avoid exponential cut-off)

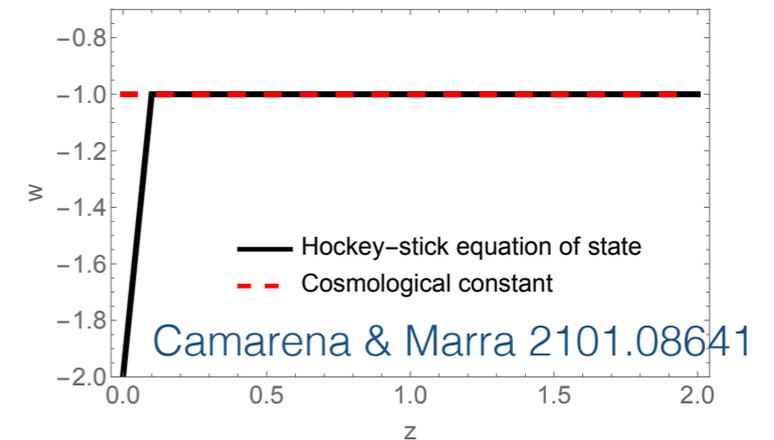
DM-related



Solving the H_0 tension alone

Does not work:

- Change in late cosmological evolution to get a smaller H_0 with the same angular distance $d_A = (\dots) \int_0^{z_{\text{obs}}} dz/H(z)$...
 \Rightarrow too constrained by BAO + Supernovae data



- Increase N_{eff} to change sound horizon r_s and angular distance d_A by same amount, and make sound angular scale $\theta = r_s/d_A$ compatible with larger H_0
 \Rightarrow CMB forbids to increase (N_{eff}, H_0) too much: (enhanced Silk damping, acoustic peak shift from neutrino drag) and BBN + Helium abundance require $N_{\text{eff}} < 0.3$

Works better:

1. Increase N_{eff} after BBN and compensate with new ingredients in the Dark Sector
2. Get the same with a scalar field dominating just before recombination (Early Dark Energy)
3. Shift the time of recombination (variation of fundamental constants, inhomogeneous recombination from e.g. small-scale primordial magnetic fields)

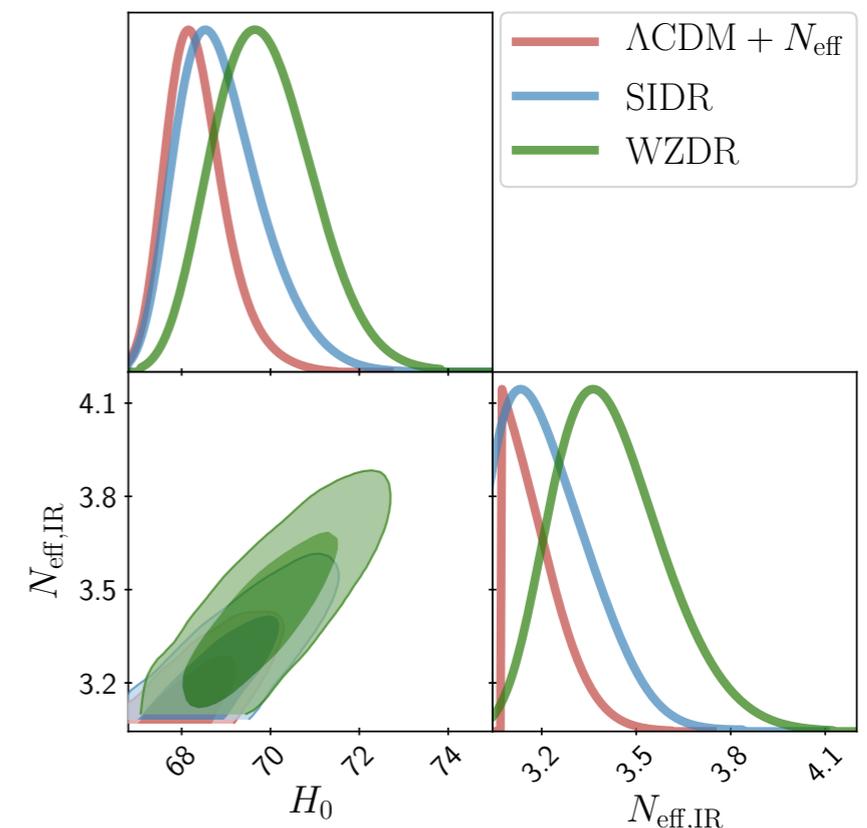
Solving the H_0 tension alone

Increasing N_{eff} :

- Self-interacting Dark Radiation works better than free-streaming massless relics (no baryon drag, no offset of CMB peaks)
- N_{eff} should increase **between BBN and CMB** times (entropy release)
- **Wess-Zumino Dark Radiation** (WZDR) model of [Aloni, Berlin, Joseph, Schmaltz & Weiner](#)

2111.00014 :

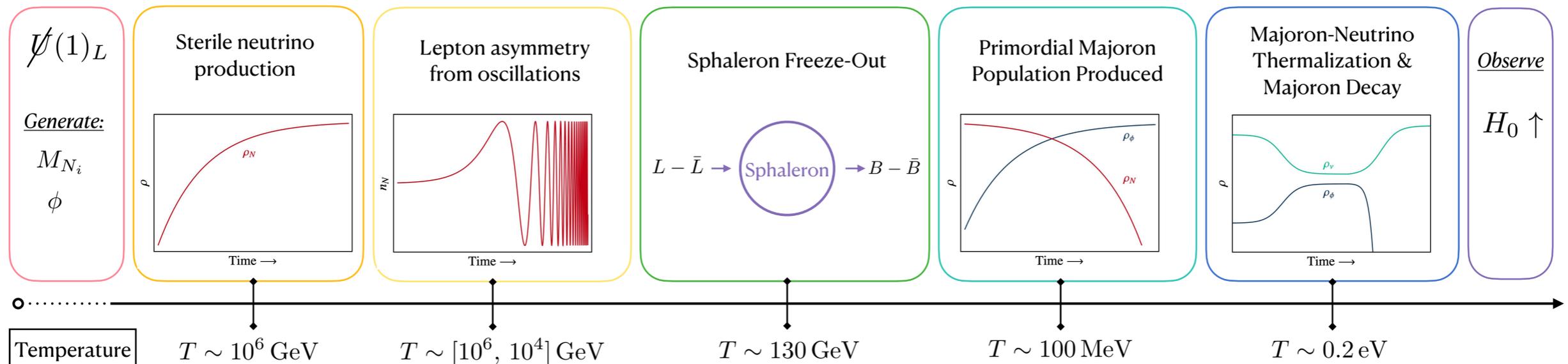
- Interaction between massless relic fermions mediated by **eV-mass scalar** ($eV \sim M_{\text{SUSY}}^2/M_{\text{Pl}}$)
- At $T \sim 1\text{eV}$, scalar becomes non-relativistic, entropy release boosts N_{eff} from ~ 3.3 to ~ 3.5 (precise value depends on T_{dark})
- Transition leaves imprint in CMB spectrum that compensates for increase of (N_{eff}, H_0)



Solving the H_0 tension alone

Majoron scenario of Escudero & Witte 1909.04044, 2004.01470, 2103.03249:

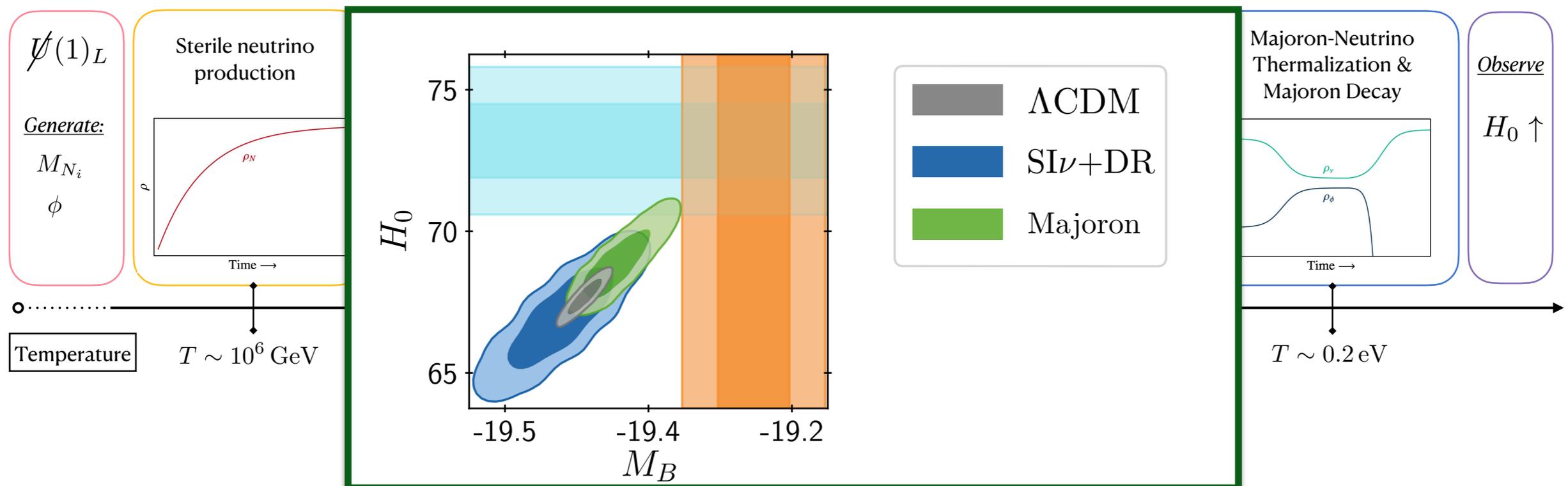
- O(eV)-mass Majoron ϕ = pseudo-Goldstone of spontaneously broken $U(1)_L$
- small Yukawa-like couplings to active neutrinos
- $T \sim \phi$: interactions between majoron and active neutrinos (inverse neutrino decay):
 - Majoron thermalize and contribute to N_{eff} ,
 - active neutrinos do not free-stream
- $T < \phi$: Majoron decays into active neutrinos, which free-stream



Solving the H_0 tension alone

Majoron scenario of Escudero & Witte 1909.04044, 2004.01470, 2103.03249:

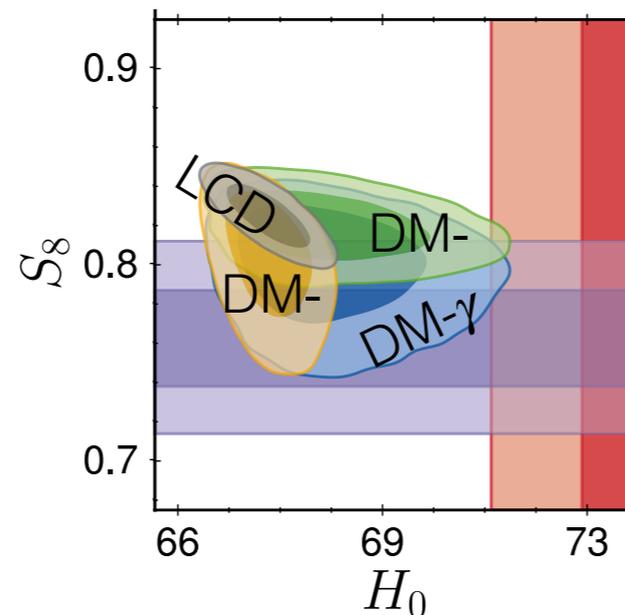
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Solving both tensions?

Currently, no known and studied models convincingly solving both tensions!

- Most models *ease one tension at expense of making other worse*... few exceptions, e.g.:
- DM interacting with DR *and* photons works better (Becker et al. 2010.04074)
E.g. DM may interact with dark photon, mixed with visible photon...



- Try Majoron of Escudero et al. + sizeable active neutrino mass?
- Try Interacting Dark radiation model of Aloni et al. + DR-DM interactions of Buen-Abad et al. ?

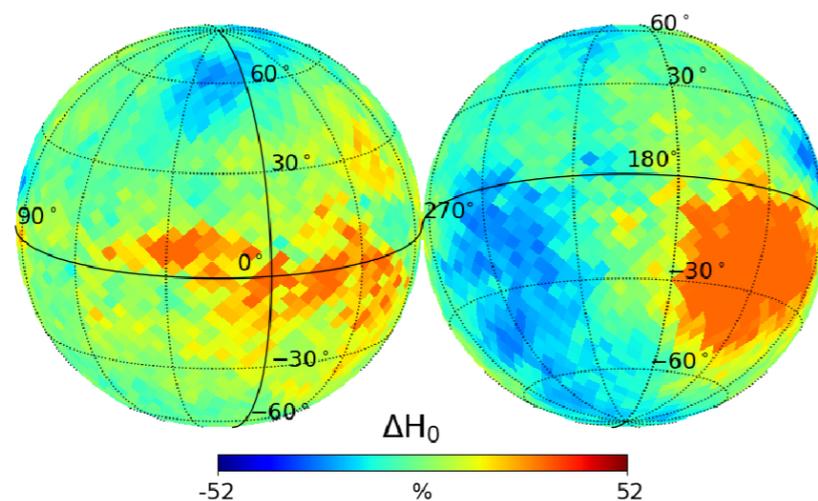
Conclusions

Hope that one or more tension **solved by systematics!**

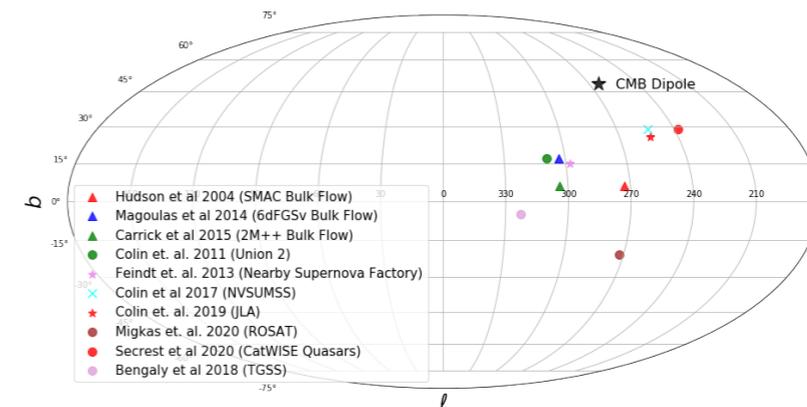
Reassuring that **we cannot fit anything?** ...

If tensions do not settle with systematics:

- Previous models: predictions for **next-generation CMB/LSS** (e.g. EDE, Majoron, shifted recombination, WZDR...)
- Chance to learn about **new particle physics**, tests it in laboratory? (e.g. DM interactions, Majoron)
- Revisit models **beyond Friedmann?** Large-scale inhomogeneity?



Fosalba & Gaztanaga 2011.00910



Kinematic dipole / CMB dipole mismatch
Secrest et al. 2009.14826; 2105.09790, 2106.03119