

Configuration-space RSD measurements in Flagship

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Galaxy Clustering Redshift-Space Distortions

- Observed galaxy distribution modified by peculiar velocities
- $\,\circ\,$ Peculiar velocities depend on the growth rate of structures f
- The growth rate is heavily sensitive to the theory of gravity



Galaxy clustering RSD allow us to test General Relativity through the even multipoles of the 2PCF (and power spectrum)

RSD modelling

We use the *Convolution Lagrangian Perturbation Theory* (CLPT, Carlson+12, Wang+14) and *Gaussian Streaming Model* (Reid & White 2011)

6 parameters
• f (growth rate)
 b^L₁ (1st-order Lagrangian bias)
• b_2^L (2nd-order Lagrangian bias)
• σ_v^2 (Additionnal velocity dispersion)
• α_{\parallel} (AP test)
• α_{\perp} (AP test)

code available at https://github.com/mianbreton/CLPT_GS

Flagship cosmology						
Ω_m	Ω_b	ΩΛ	σ_8	n _s	h	
0.319	0.049	0.681	0.83	0.96	0.67	

• HOD with two models (optimistic and pessimistic)

Snapshot redshifts	0.9	1.19	1.53	1.79
$N_{ m gal}$ (Model 1) $ imes 10^6$	200	110	70	25
$N_{ m gal}$ (Model 3) $ imes 10^6$	110	55	30	17

FLAGSHIP simulation snapshots (z = 0.9)



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$\ensuremath{\operatorname{FLAGSHIP}}$ simulation snapshots



FLAGSHIP simulation snapshots



FLAGSHIP simulation snapshots



Very idealised case, what about the real light-cone?



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Multipoles of the 2PCF in the RayGal simulation

redshift bins : $[f 0.8-1.0]$ and $[f 1.6-1.9]$							
ξ_ℓ	Doppler	Vo	Grav. redshift	Lensing*	T. Doppler	ISW	
ξ0	> 20%	3%	< 1%	1 - 10%	< 1%	< 1%	
ξ_2	> 20%	2%	< 1%	2%	< 1%	< 1%	
ξ_4	> 20%	-	< 1%	1-10%	< 1%	< 1%	

*Angular displacement only

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Number counts heavily impacted by RSD and Magnification Bias (MB)

$$\Delta = b\delta - \frac{1}{\mathcal{H}} \nabla_r (\mathbf{v} \cdot \mathbf{n}) + (5s - 2)\kappa$$
(1)

 $s = \mathrm{d}\log_{10} \textit{N}(<\textit{m})/\mathrm{d}\textit{m}$

- v1.8.4, full octant (available on cosmohub)
- Spectroscopic sample : z = [0.9 - 1.1], [1.1 - 1.3], [1.3 - 1.5], [1.5 - 1.8] $s \sim 0.7 - 1$
- Centrals only (kind = 0)
- -2.5log10(euclid_nisp_h) 48.6 < 24</p>
- o logf_halpha_model3_ext > -15.7

To account for MB, magnify angular positions and halpha flux

FLAGSHIP simulation light-cone



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FLAGSHIP simulation light-cone



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Final result



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- Need to implement this correction for likelihood analysis (ongoing)

Appendix

Flagship simulation light-cone (z = 1.5 - 1.8)



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Appendix

Redshift-space number count (linear) decomposition

$$\Delta^{\text{std}} = b\delta - \frac{1}{\mathcal{H}} \nabla_r (\mathbf{v} \cdot \mathbf{n}), \qquad (2)$$

$$\Delta^{\mathrm{acc}} = \frac{1}{\mathcal{H}c} \dot{\mathbf{v}} \cdot \mathbf{n}, \tag{3}$$

$$\Delta^{q} = -\frac{\dot{\mathcal{H}}}{c\mathcal{H}^{2}}\boldsymbol{v}\cdot\boldsymbol{n}, \qquad (4)$$

$$\Delta^{\text{div}} = -\frac{2}{\mathcal{H}\chi} \boldsymbol{v} \cdot \boldsymbol{n}, \qquad (5)$$

$$\Delta^{\text{pot},(1)} = \frac{1}{\mathcal{H}c} \nabla_r \psi \cdot \boldsymbol{n}, \qquad (6)$$

$$\Delta^{\text{pot},(2)} = \left(\frac{\dot{\mathcal{H}}}{\mathcal{H}^2} + \frac{2c}{\mathcal{H}\chi}\right)\psi/c^2 - \frac{1}{\mathcal{H}c^2}\dot{\psi},\tag{7}$$

$$\Delta^{\text{shapiro}} = (\phi + \psi)/c^2, \tag{8}$$

$$\Delta^{\text{lens}} = -\frac{1}{c^2} \int_0^{\chi} \frac{(\chi - \chi')\chi'}{\chi} \nabla_{\perp}^2 (\phi + \psi) d\chi', \qquad (9)$$

$$\Delta^{\text{isw}} = \frac{1}{\mathcal{H}c^2}(\dot{\phi} + \dot{\psi}), \qquad (10)$$

$$\Delta^{\rm LC} = \mathbf{v} \cdot \mathbf{n}/c, \tag{11}$$

$$\Delta_{\text{neglect}} = \left(\frac{\dot{\mathcal{H}}}{\mathcal{H}^2} + \frac{2c}{\mathcal{H}\chi}\right) \frac{1}{c^2} \int_{\eta}^{\eta_0} \frac{\partial(\phi + \psi)}{\partial\eta} d\eta' + \frac{2}{\chi c^2} \int_{0}^{\chi} (\phi + \psi) d\chi'.$$
(12)

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