



UNIVERSITÉ  
DE GENÈVE

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# LOUIS LEGRAND

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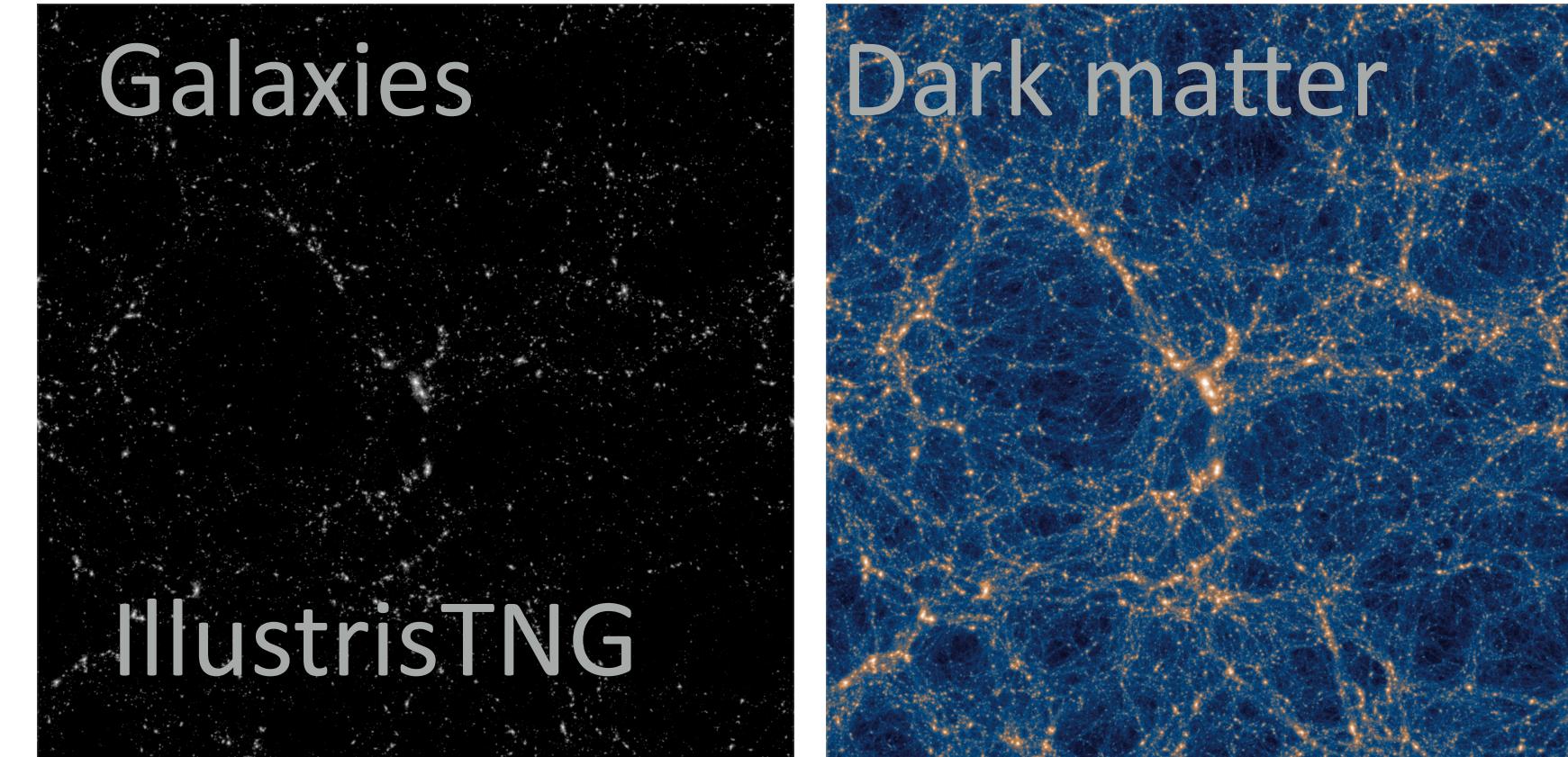
Legrand et al. 2020 [A&A, 646 \(2021\) A109](#)

# Angular redshift fluctuations, A new statistic to probe the dark sector

# GALAXIES TRACE DARK MATTER

- ▶ Galaxies are biased tracers:

$$P_g(k, z) = b_g(z) P_m(k, z)$$



- ▶ Observed redshift of galaxies:

$$z_{\text{obs}}(z, \hat{\mathbf{n}}) = z + (1 + z) \frac{\mathbf{v}(z, \hat{\mathbf{n}}) \cdot \hat{\mathbf{n}}}{c}$$

*Cosmological redshift  
(Hubble expansion)*

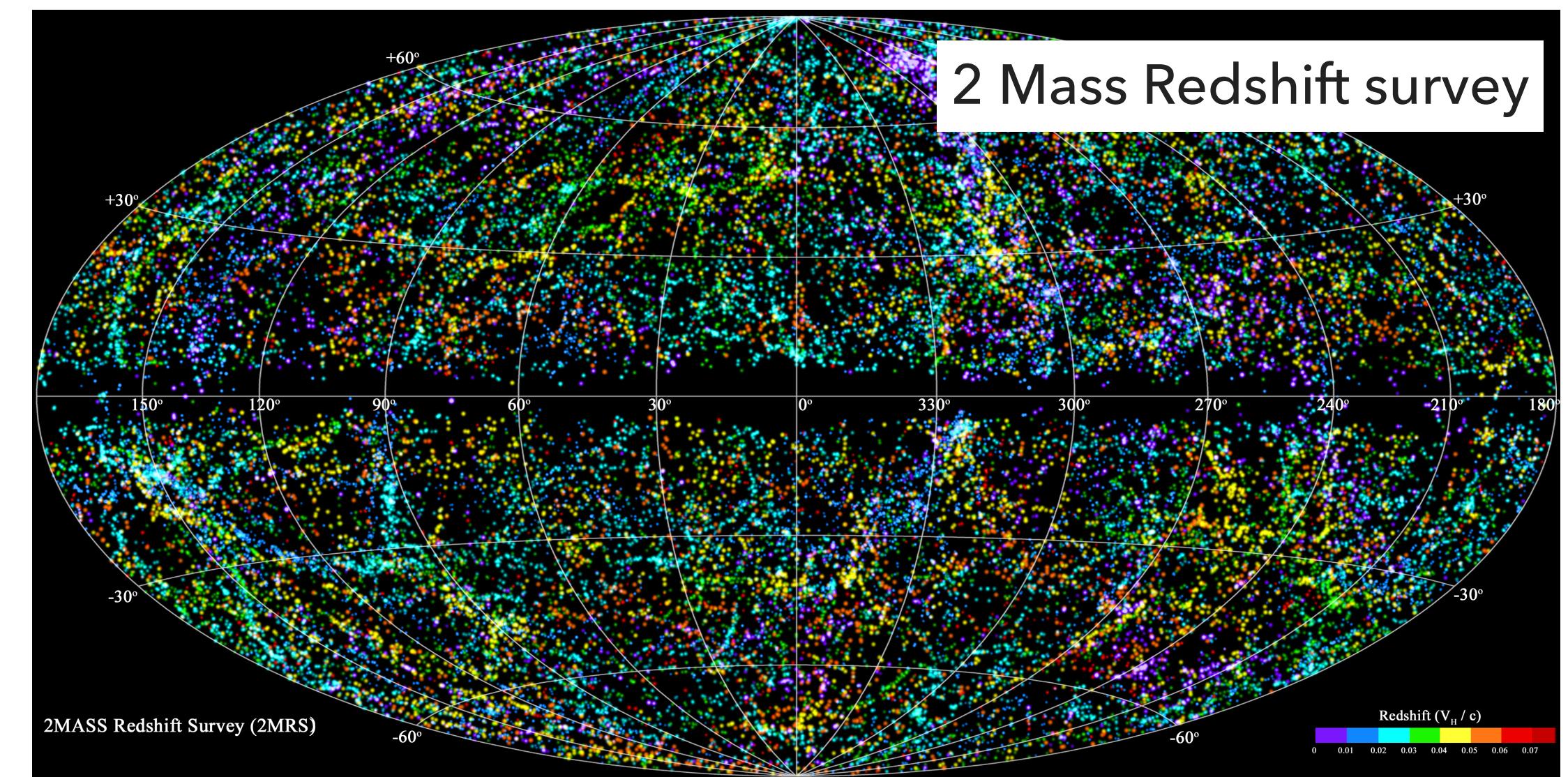
*Peculiar velocity (Doppler)*

- ▶ Peculiar velocity:
  - ▶ Linked to the time derivative of the density field
  - ▶ Contains information about the growth of structures

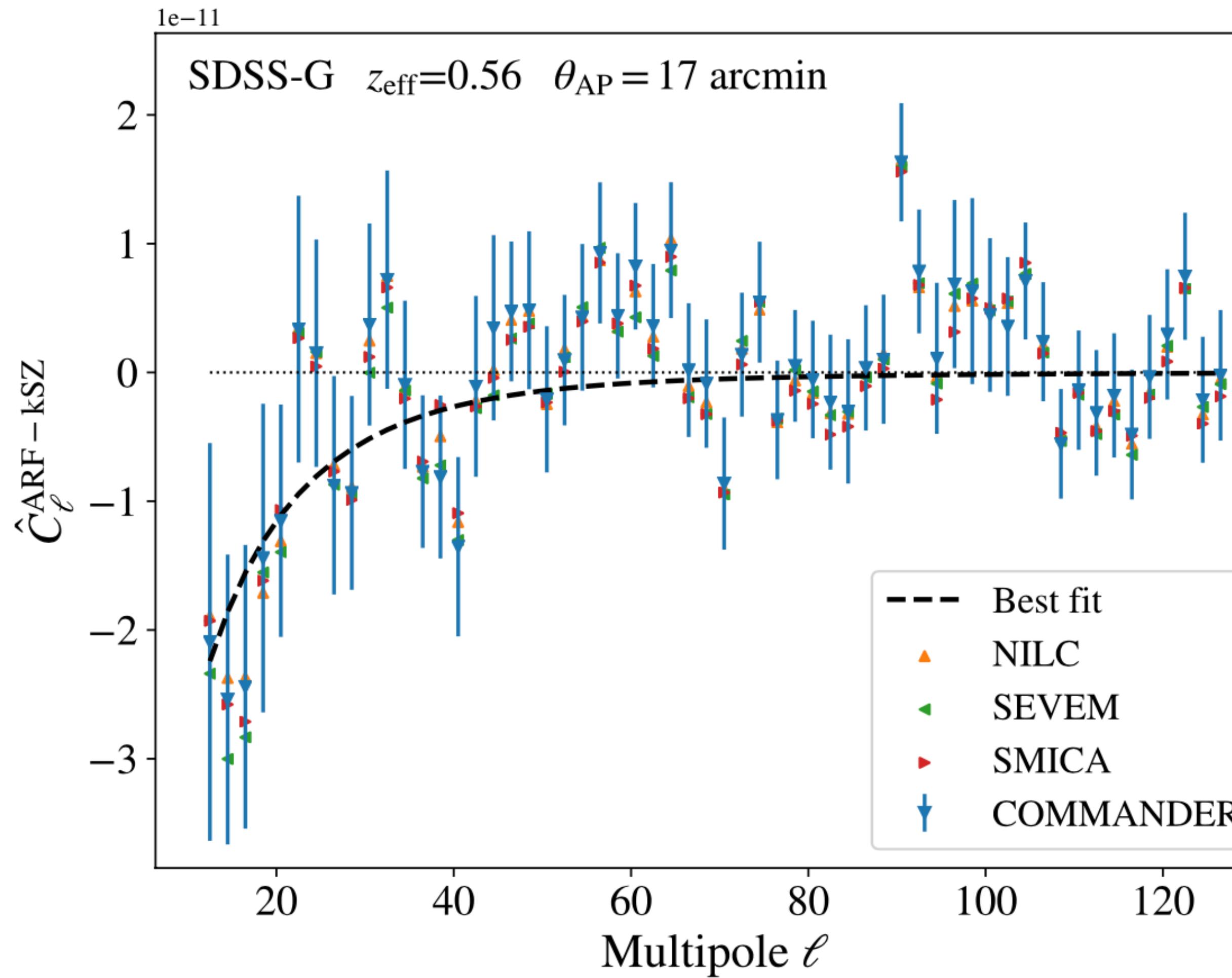
$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \mathbf{v}) = 0$$

# ANGULAR REDSHIFT FLUCTUATIONS

- ▶ Angular galaxy clustering (AGC):
  - ▶ Project 3D galaxy **density** field on a 2D map
- ▶ Angular redshift fluctuations (ARF):
  - ▶ Project 3D galaxy **redshift** field on a 2D map



## CROSS CORRELATION OF ARF WITH KINETIC SZ

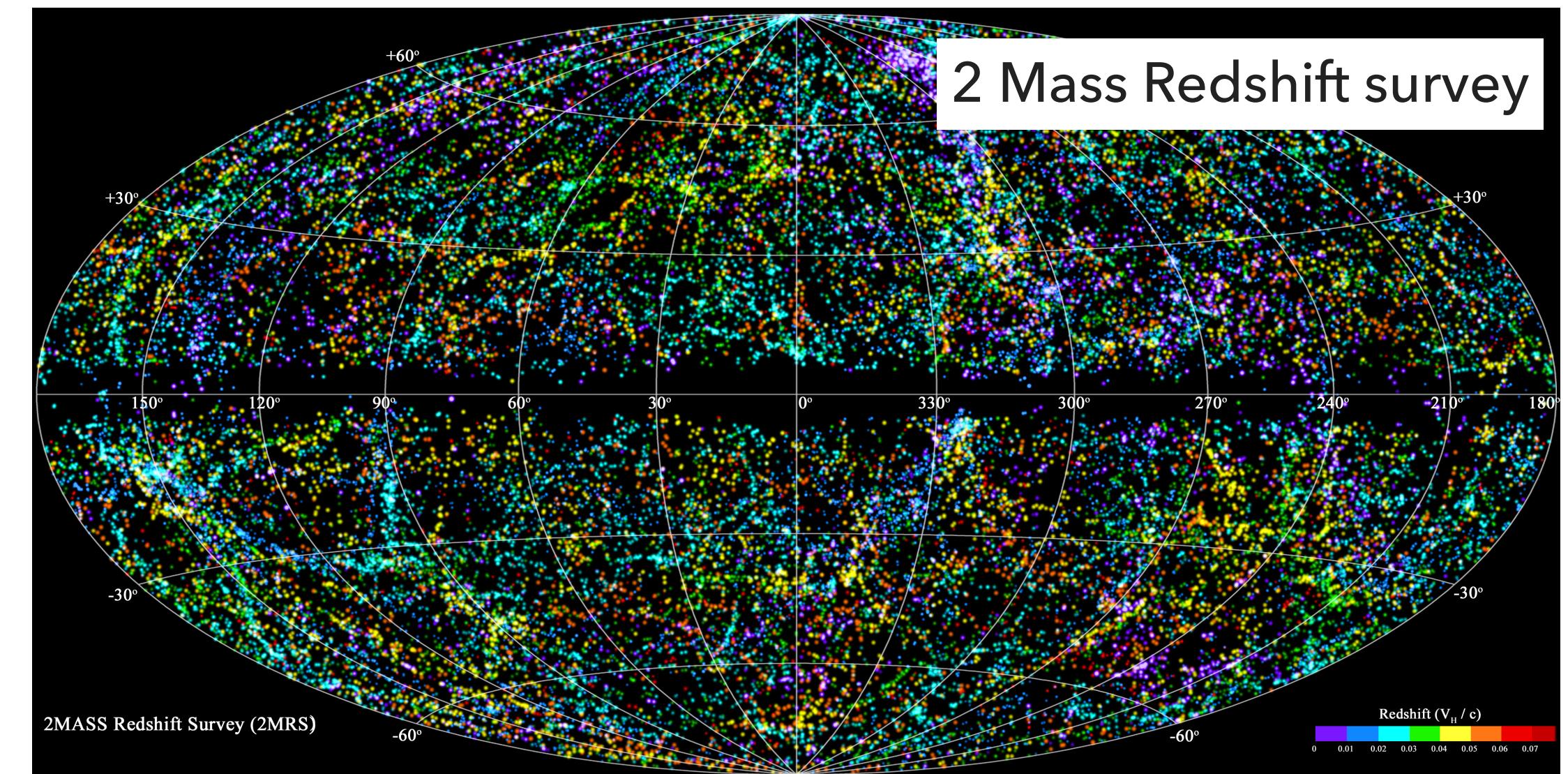


Chaves-Montero et al. 2019  
[arXiv:1911.10690](https://arxiv.org/abs/1911.10690)

- ▶ Cross-correlates ARF from SDSS galaxies with Planck CMB maps
- ▶  $10\sigma$  detection

# ANGULAR REDSHIFT FLUCTUATIONS

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What are the advantages of combining AGC with ARF for cosmological analyses?

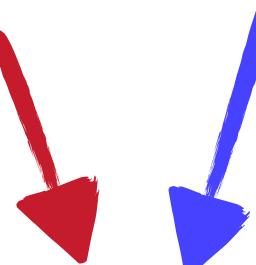
## INTEREST OF PROBE COMBINATION

- ▶ Each probe has specific:
  - ▶ Cosmological degeneracies
  - ▶ Astrophysical degeneracies
  - ▶ Systematics uncertainties
- ▶ Combination
  - ▶ Breaks degeneracies
  - ▶ Decreases systematic uncertainties

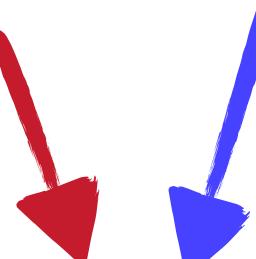
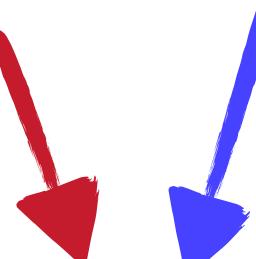
Cross angular power spectrum is modelled by

$$C_{\ell}^{\alpha,\beta} = \frac{2}{\pi} \int_0^{\infty} dk k^2 P_m(k) \Delta_{\ell}^{\alpha}(k) \Delta_{\ell}^{\beta}(k),$$

Matter power spectrum



Kernels specific to each observable



# MODELLING THE ARF POWER SPECTRUM

Hernandez-Monteagudo et al. 2019  
[arXiv:1911.12056](https://arxiv.org/abs/1911.12056)

Angular power spectrum:

$$C_{\ell}^{\alpha,\beta} = \frac{2}{\pi} \int_0^{\infty} dk k^2 P_m(k) \Delta_{\ell}^{\alpha}(k) \Delta_{\ell}^{\beta}(k)$$

Kernels, sum of density and peculiar velocity contributions :  $\Delta_{\ell}^{\delta_z} = \Delta_{\ell}^{\delta_z}|_{\delta_m} + \Delta_{\ell}^{\delta_z}|_{v_{los}}$

No Limber approximation

density:  $\Delta_{\ell}^z|_{\delta}(k) = \frac{1}{N} \int dV \bar{n}_g(z) W(z) b_g(z) D(z) (z - \bar{z}) j_{\ell}(k r(z))$

galaxy bias      growth factor

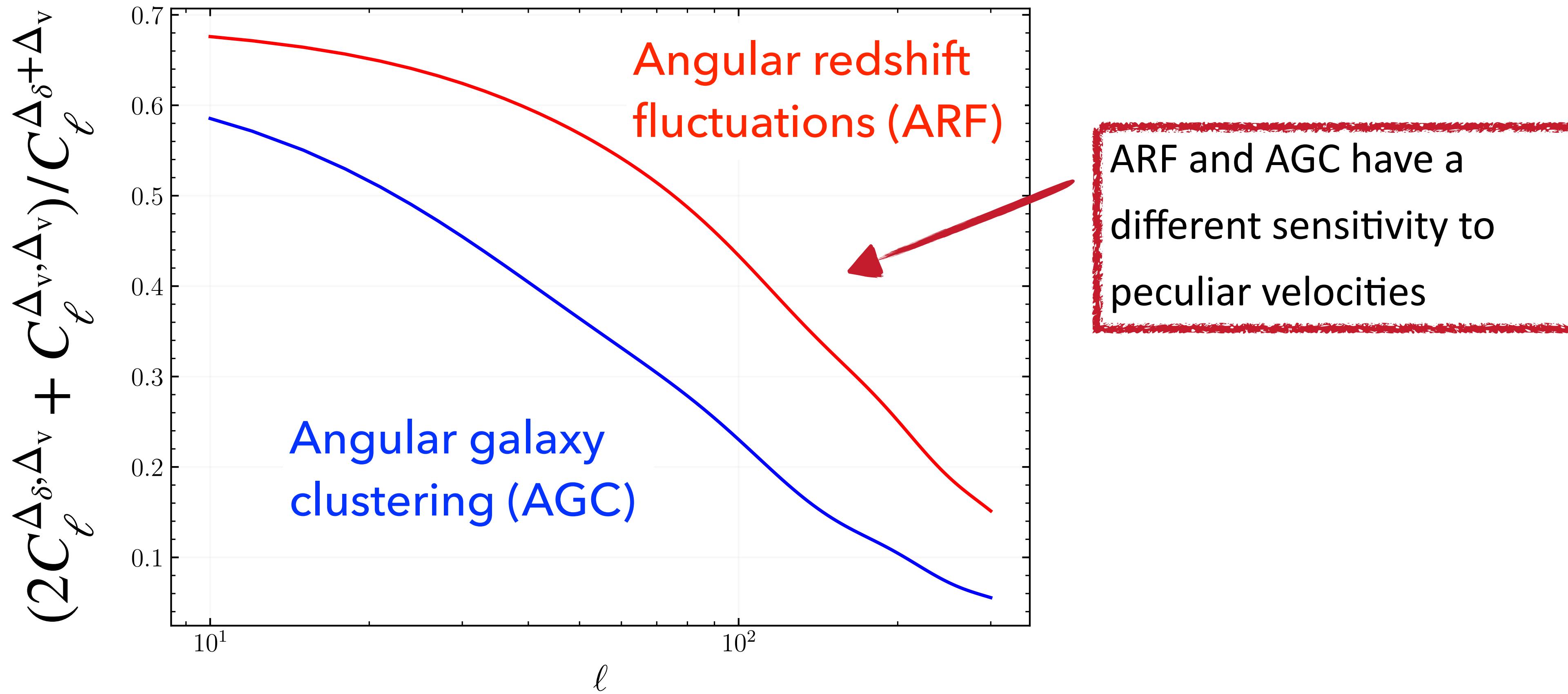
*Terms specific to ARF*

velocity:  $\Delta_{\ell}^z|_v(k) = \frac{1}{N} \int dV \bar{n}_g(z) W(z) (1+z) H(z) \frac{dD}{dz} \left[ 1 + (z - \bar{z}) \frac{d \ln W}{dz} \right] \frac{j'_{\ell}(k r(z))}{k}$

No galaxy bias

## SENSITIVITY TO PECULIAR VELOCITIES

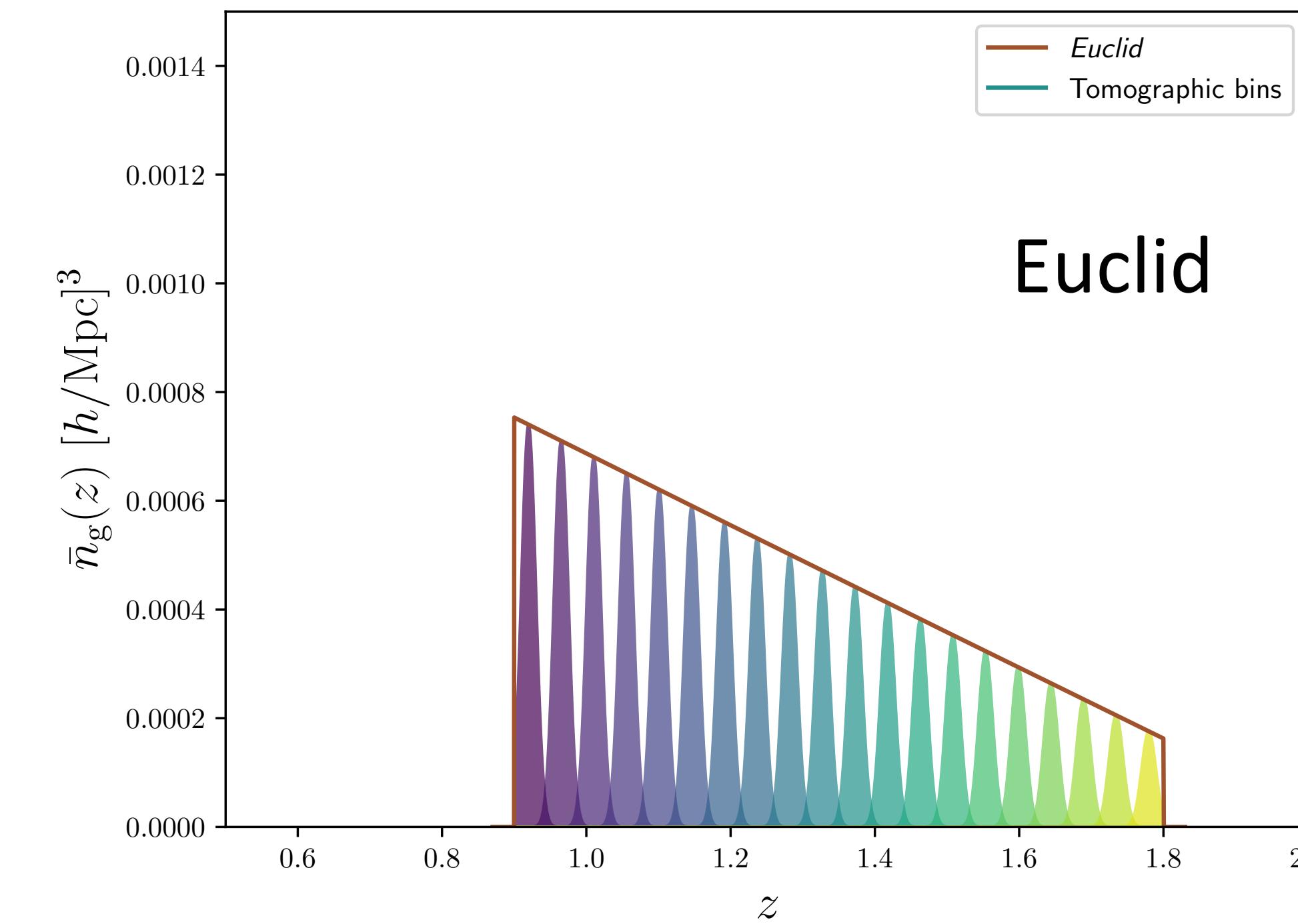
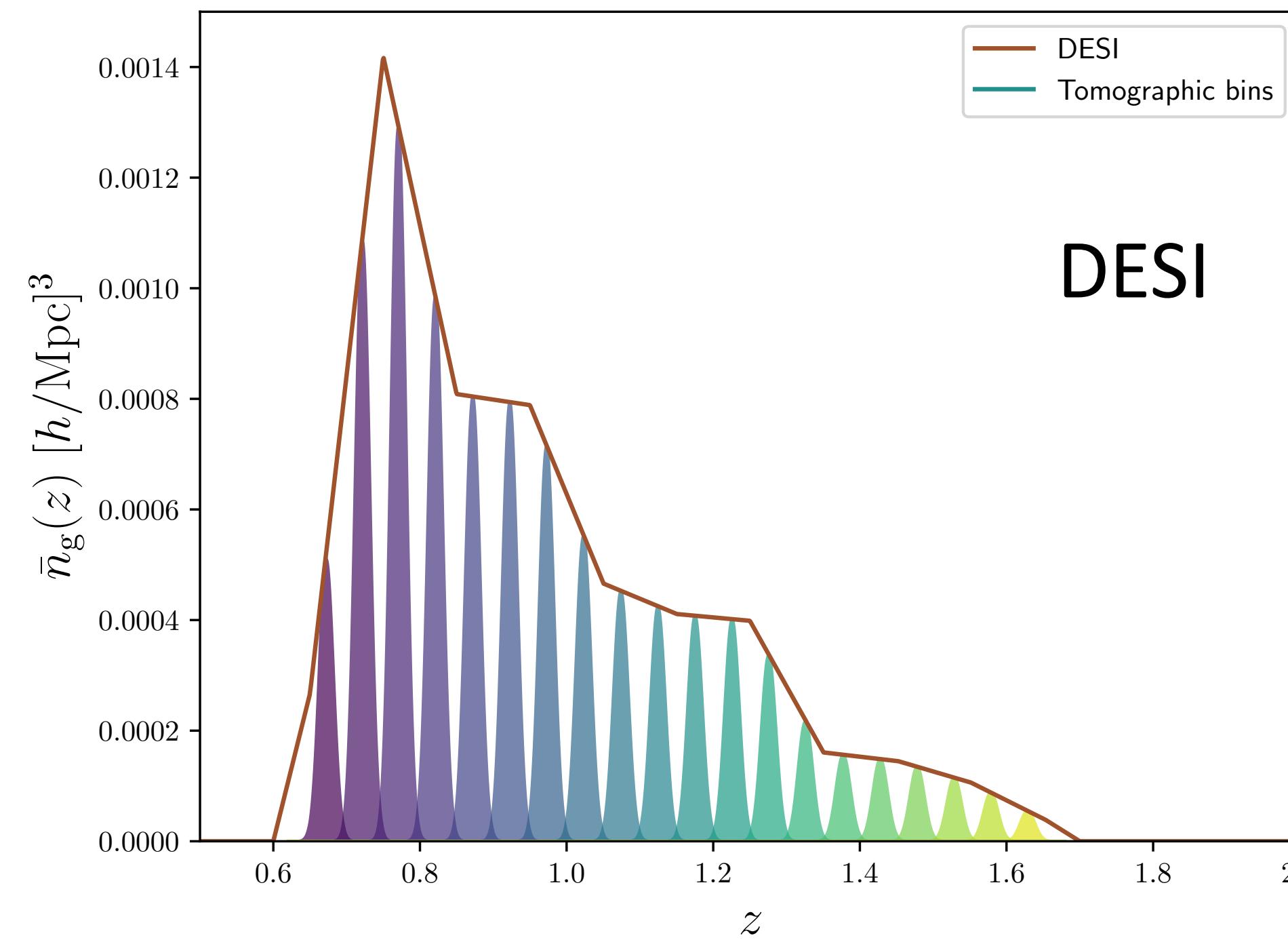
$$C_\ell = C_\ell^{\Delta_\delta + \Delta_v} = C_\ell^{\Delta_\delta, \Delta_\delta} + 2C_\ell^{\Delta_\delta, \Delta_v} + C_\ell^{\Delta_v, \Delta_v}$$



# COSMOLOGICAL FORECASTS

Legrand et al. 2020 [A&A, 646 \(2021\) A109](#)

- ▶ Fisher forecast for two spectroscopic surveys: DESI and Euclid
- ▶ Tomographic analysis with 20 redshift bins with  $\sigma_z = 0.01$
- ▶ Marginalise on 20 galaxy bias parameters (one for each bin)



## FISHER FORMALISM

- ▶ Fisher formalism
  - ▶ Likelihood of parameters is a multivariate Gaussian
  - ▶ Survey properties (sky fraction, noise resolution, redshift distribution)
- ▶ Assume gaussian covariance between the probes:

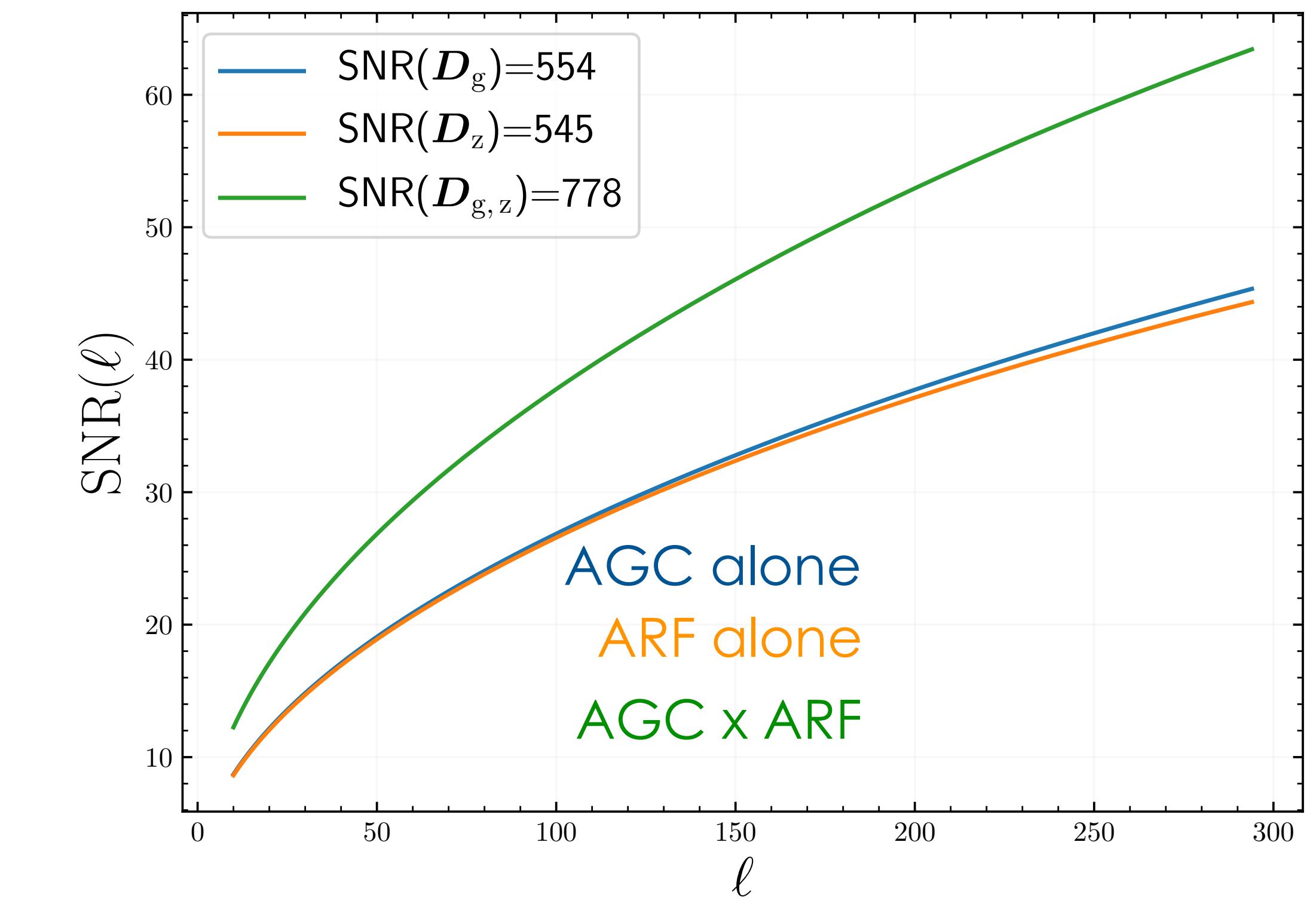
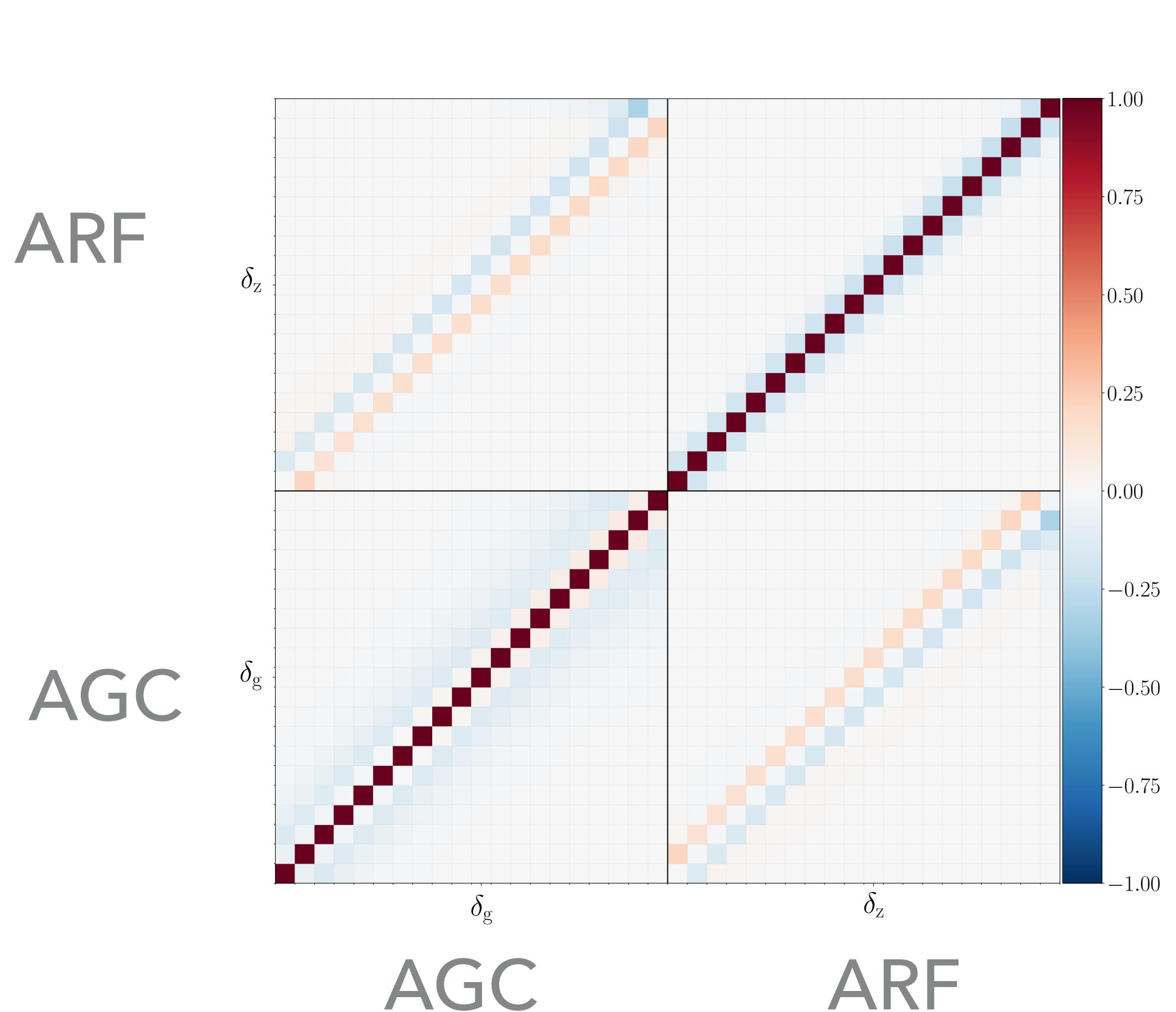
$$\text{Cov}_\ell \left( C_\ell^{\alpha, \beta}, C_\ell^{\gamma, \delta} \right) = \frac{1}{(2\ell + 1)f_{\text{sky}}} \times \left[ \left( C_\ell^{\alpha, \gamma} + \delta_\gamma^\alpha N_\ell^\alpha \right) \left( C_\ell^{\beta, \delta} + \delta_\delta^\beta N_\ell^\beta \right) \left( C_\ell^{\alpha, \delta} + \delta_\delta^\alpha N_\ell^\alpha \right) \left( C_\ell^{\beta, \gamma} + \delta_\gamma^\beta N_\ell^\beta \right) \right]$$

- ▶ Assume each multipole is independent

$$F_{i,j} = \sum_{\ell} \frac{\partial C_{\ell}}{\partial \lambda_i} \text{Cov}_{\ell}^{-1} \frac{\partial C_{\ell}}{\partial \lambda_j}$$

← Parameters of the model

## CORRELATION BETWEEN ARF AND AGC

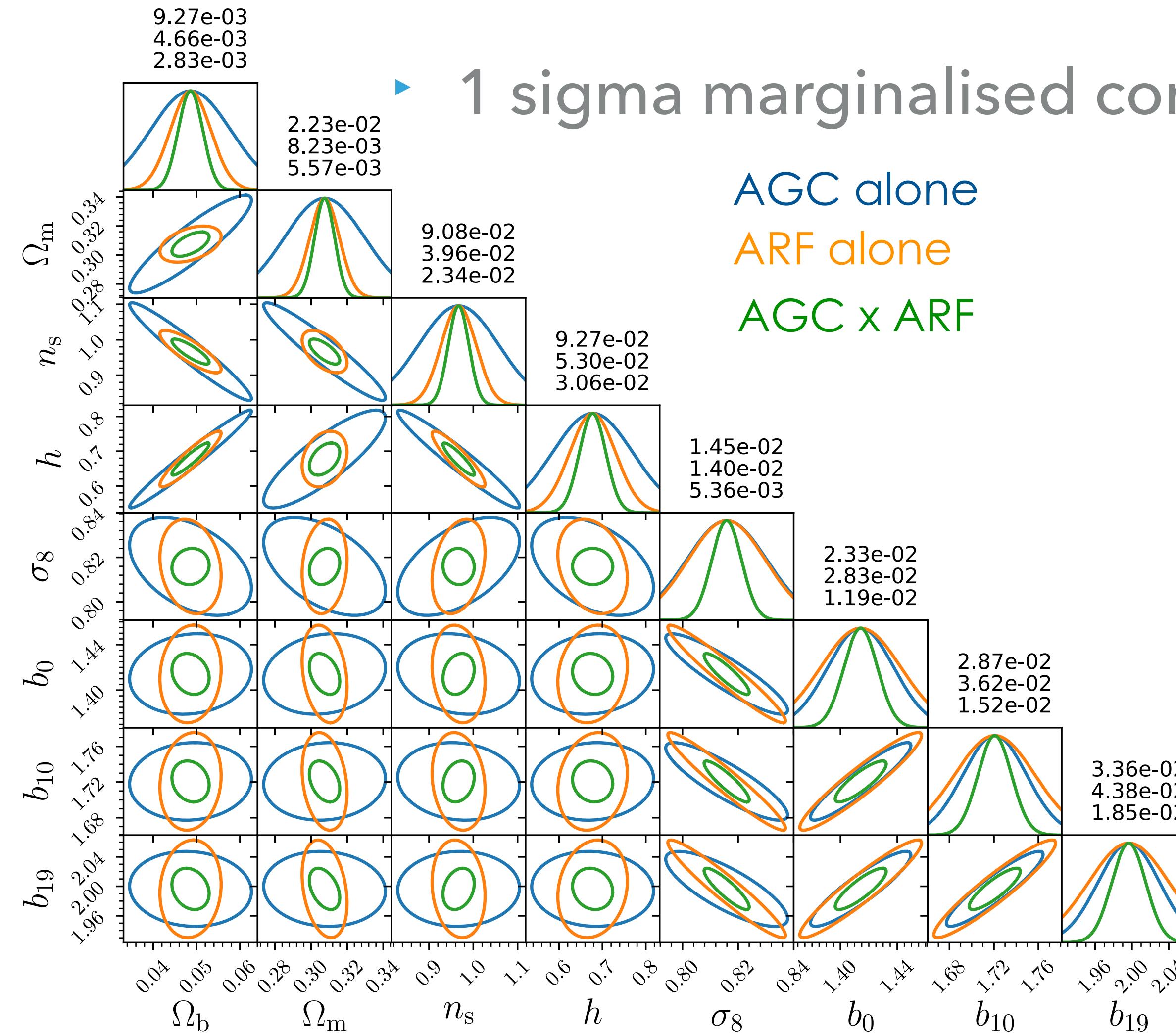


$$\text{SNR}(\ell) = \sqrt{\mathbf{C}_\ell \mathbf{Cov}_\ell^{-1} \mathbf{C}_\ell}$$

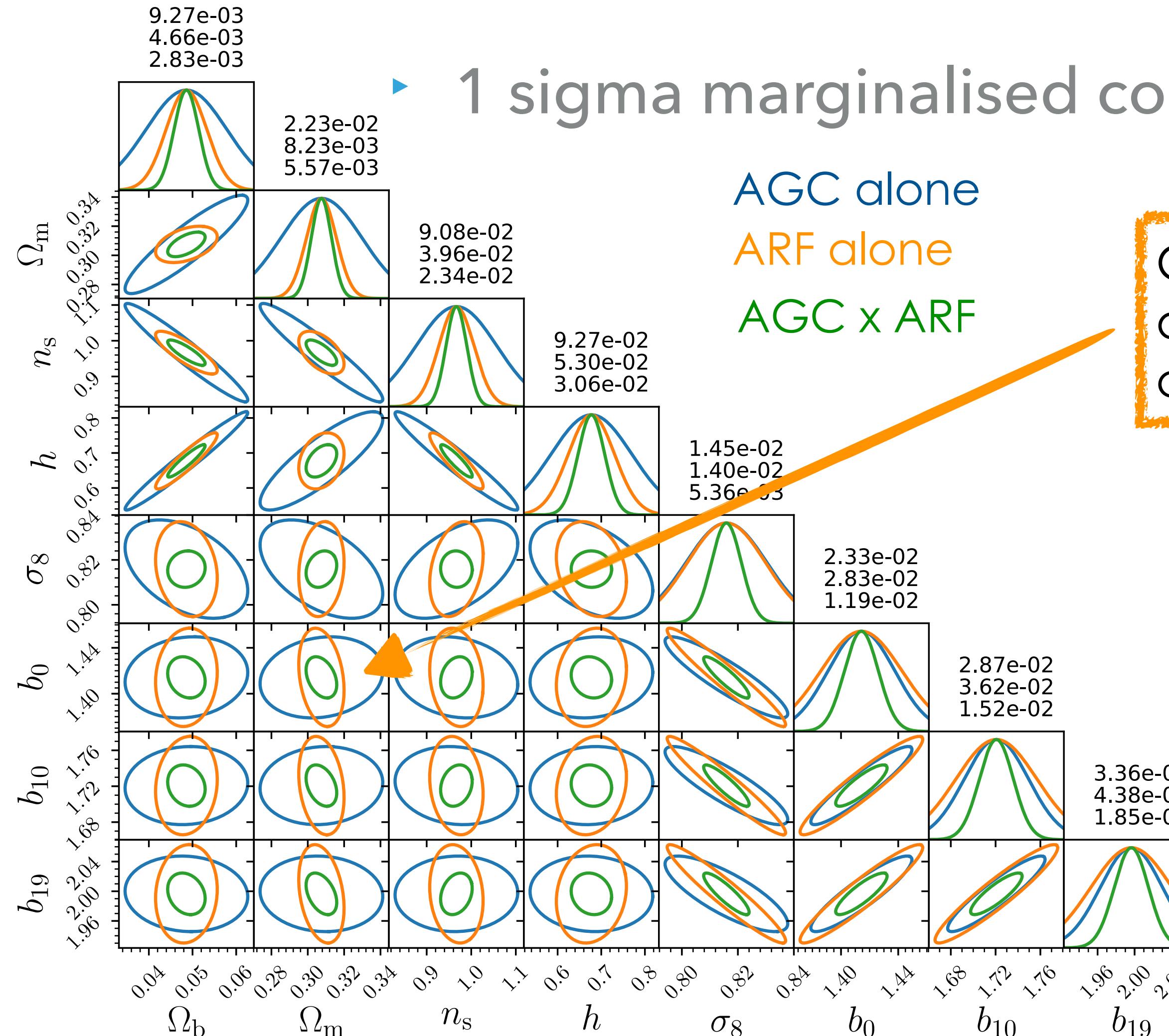
Correlation matrix in a Euclid-like survey at  $\ell=10$

# MARGINALISED CONSTRAINTS

Legrand et al. 2020 [A&A, 646 \(2021\) A109](#)



## MARGINALISED CONSTRAINTS

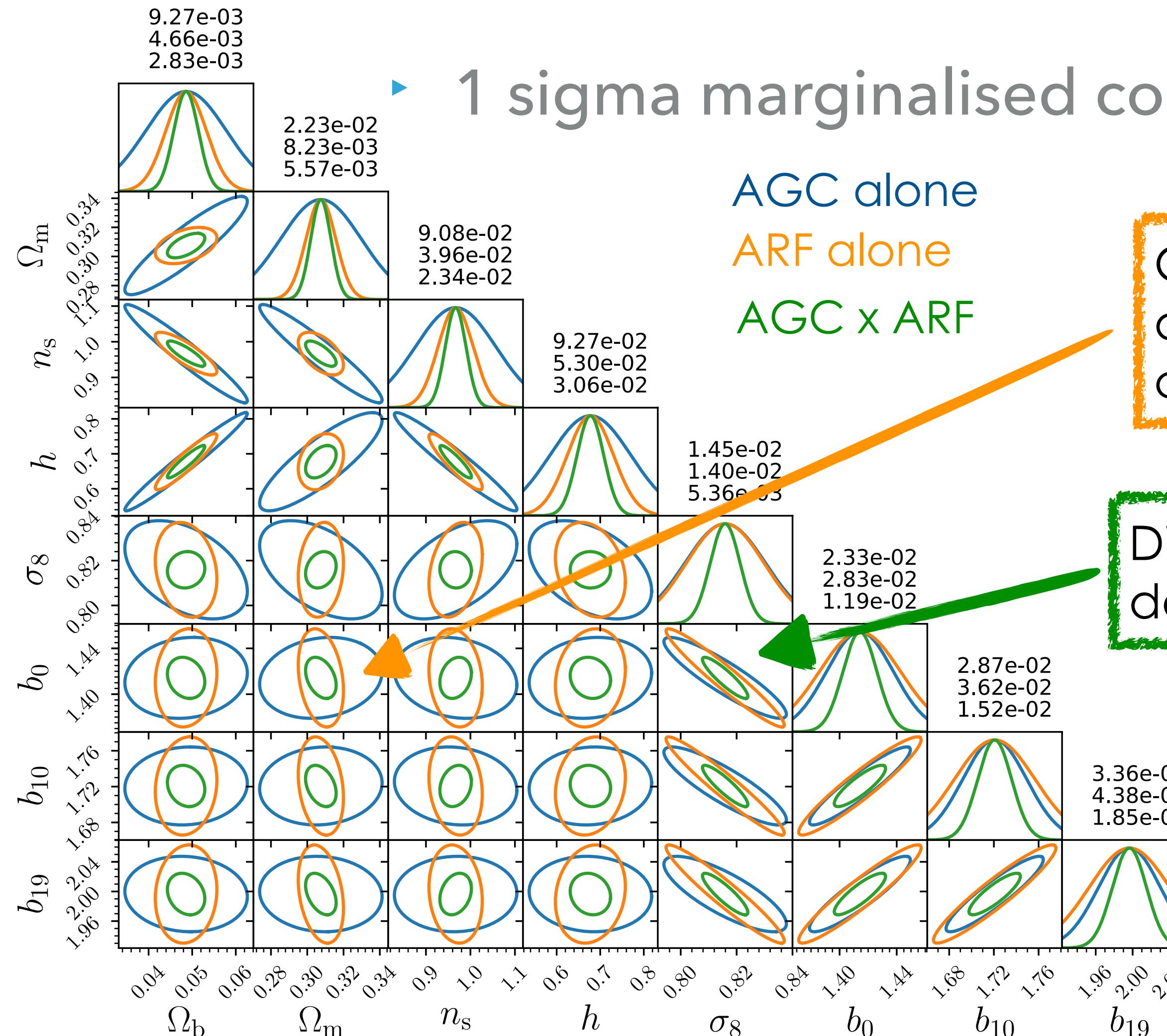


► 1 sigma marginalised constraints for a Euclid like survey

AGC alone  
ARF alone  
AGC x ARF

Galaxy bias exhibits  
different degeneracy with  
cosmological parameters

## MARGINALISED CONSTRAINTS



► 1 sigma marginalised constraints for a Euclid like survey

AGC alone

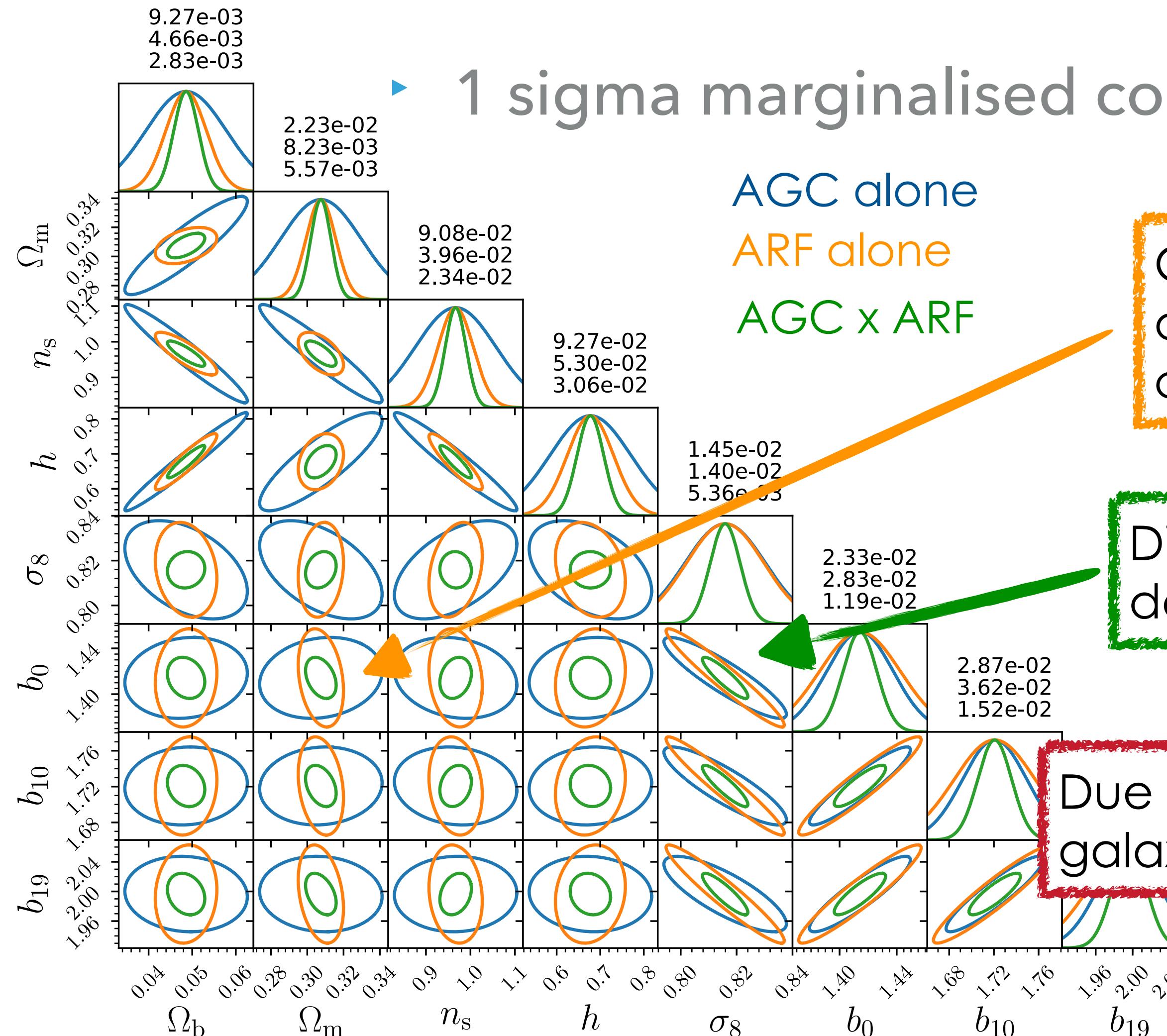
ARF alone

AGC x ARF

Galaxy bias exhibits  
different degeneracy with  
cosmological parameters

Different bias / amplitude  
degeneracy

## MARGINALISED CONSTRAINTS



► 1 sigma marginalised constraints for a Euclid like survey

AGC alone

ARF alone

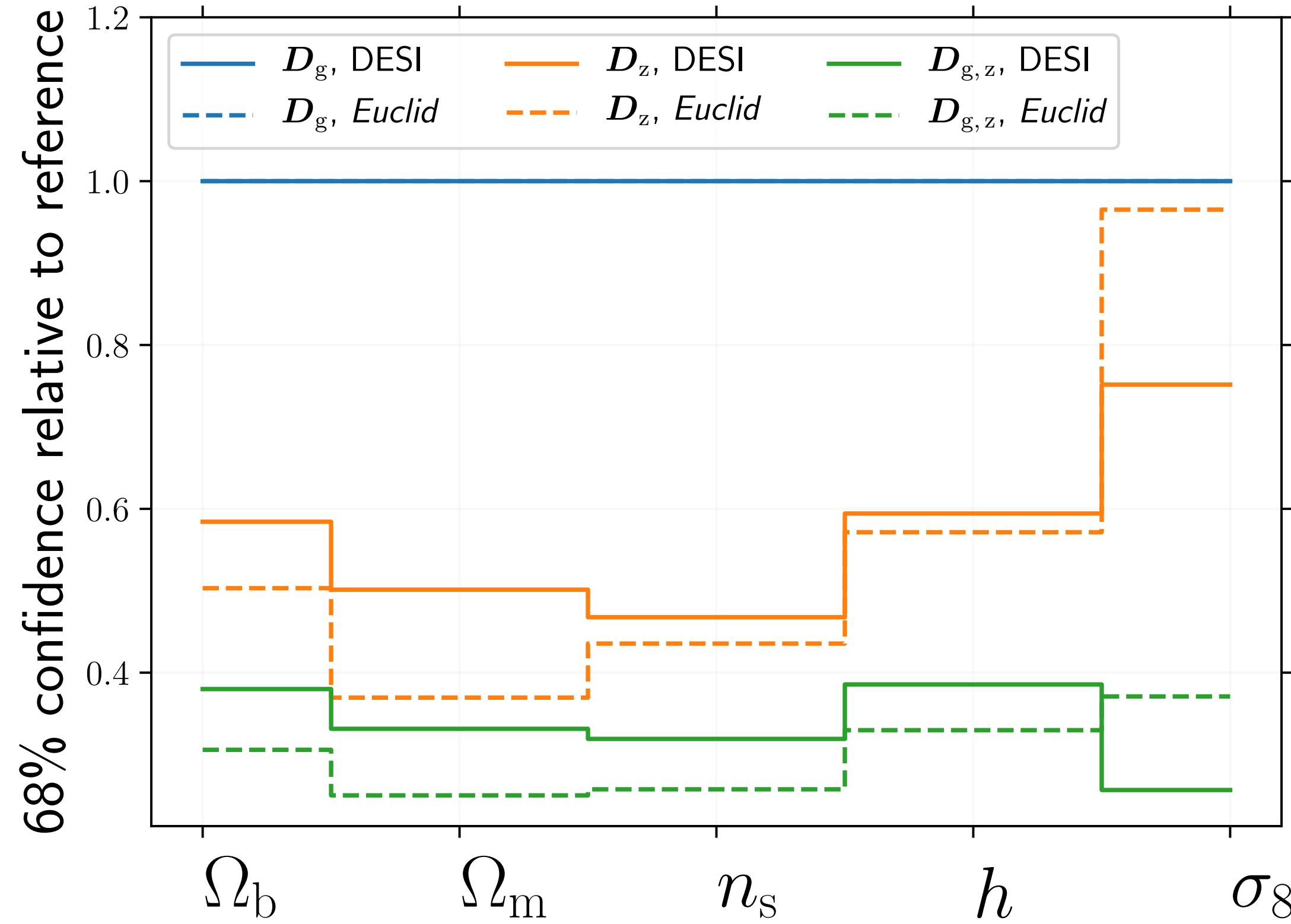
AGC x ARF

Galaxy bias exhibits different degeneracy with cosmological parameters

Different bias / amplitude degeneracy

Due to different sensitivity to the galaxy peculiar velocities

# IMPROVEMENT OF CONSTRAINTS



AGC

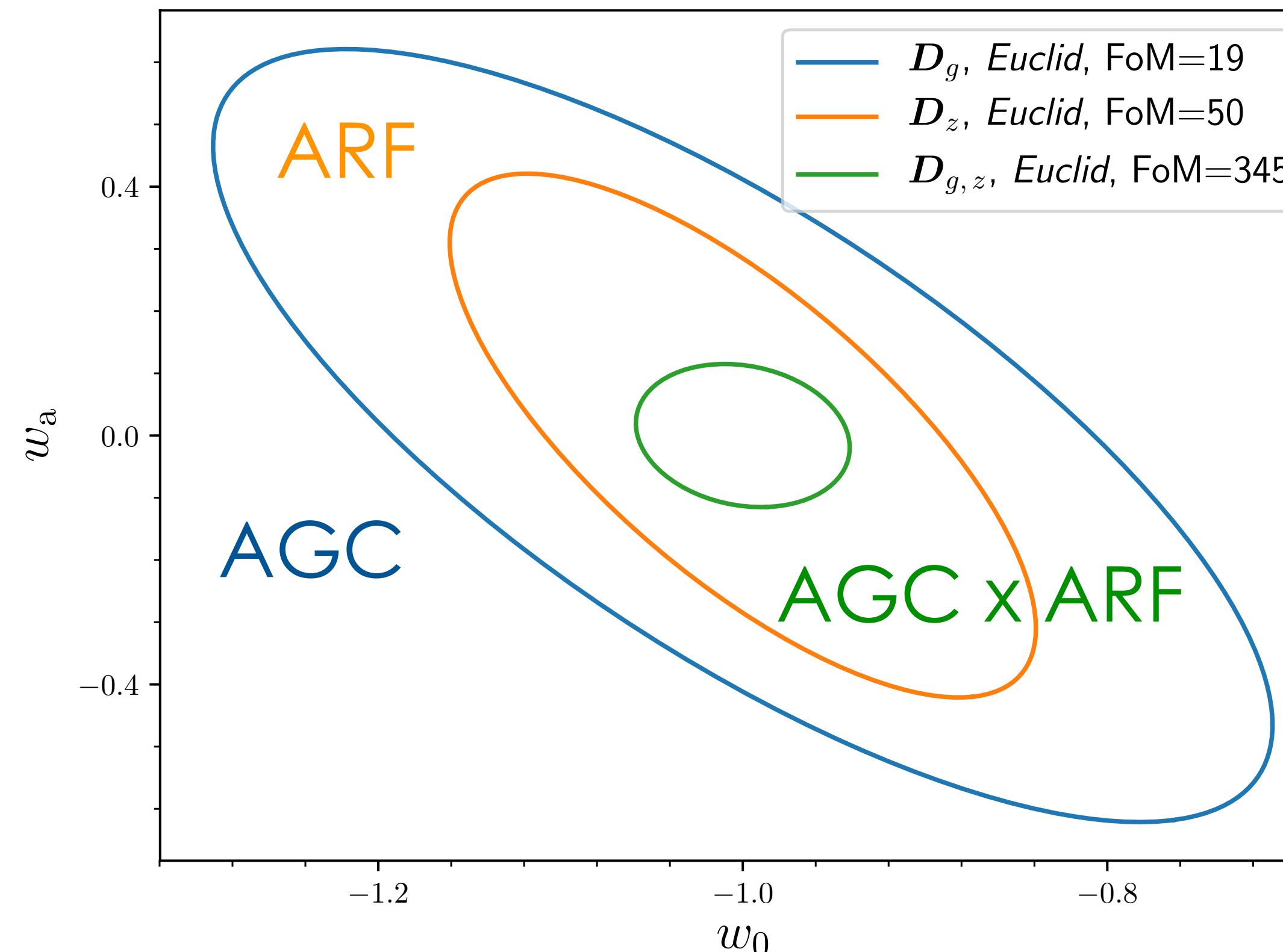
ARF

AGC x ARF

Factor 2.5  
improvement

# DARK ENERGY EQUATION OF STATE EVOLVE WITH TIME

- ▶ Assuming CPL parametrisation:  $w(z) = w_0 + \frac{z}{1+z}w_a$

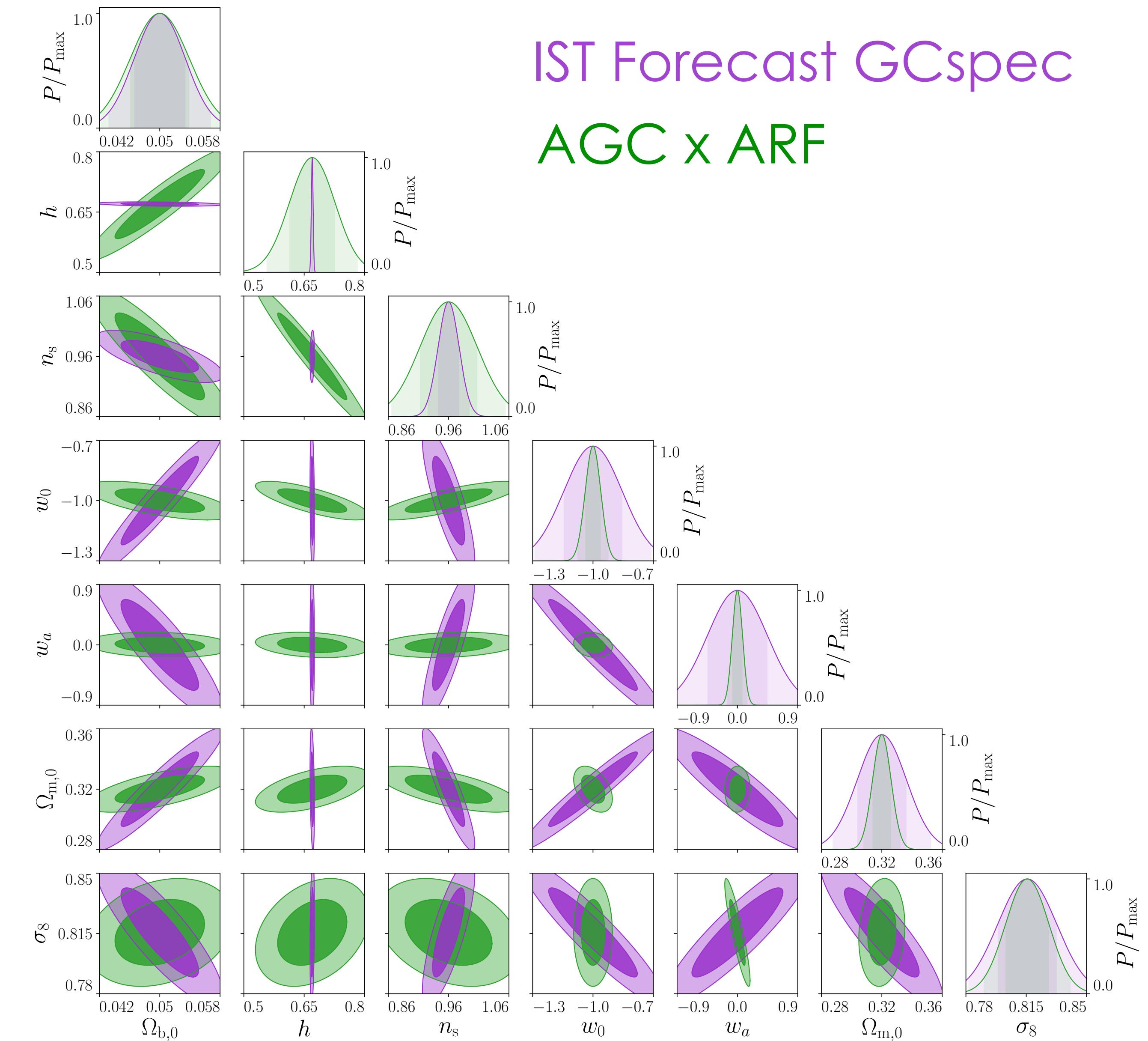


Factor 4 improvement  
on each DE parameters

# COMPARING TO GC SPECTROSCOPIC

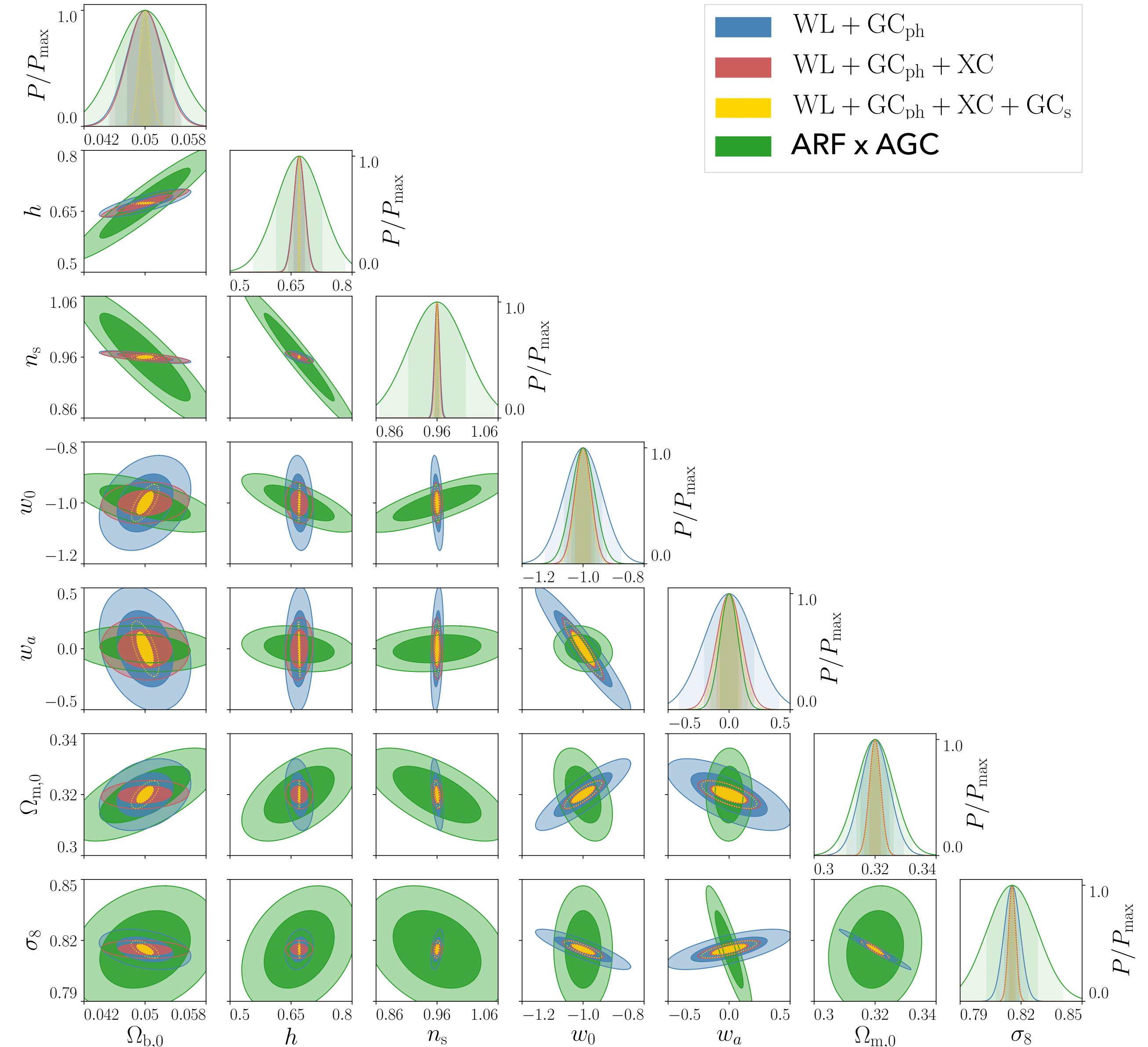
Euclid collaboration et al 2020, [arXiv:1910.09273](https://arxiv.org/abs/1910.09273)

- ▶ Euclid IST:Forecast Fisher matrix
- ▶ GC spectroscopic
- ▶ Rough comparison (not same scale cuts, non-linear modelling, not same marginalised parameters...)
- ▶  $P(k)$  much better to measure  $H_0$
- ▶ ARFxAGC better at constraining  $w_0-w_a$
- ▶ Similar constraints on other parameters
- ▶ Starting point to combine galaxy spectroscopic and photometric sample



## COMPARING TO WL

- ▶ Euclid forecast analysis, WL + GCph + XC
- ▶ Neglecting correlations between spectroscopic and photometric samples
- ▶ ARFx AGC only on spectroscopic sample
- ▶ Seems we can break degeneracies for  $w_0-w_a$  by combining with WL and GCphot



## SUMMARY

- ▶ Angular redshift fluctuations:
  - ▶ Different sensitivity to peculiar velocities than AGC
  - ▶ Different degeneracies with galaxy bias parameters
  - ▶ Degeneracies broken when combined with AGC
  - ▶ Improve constraints by a factor 2.5, and up to 5 on DE EoS parameters
- ▶ Next steps:
  - ▶ Extended models: Massive neutrinos, modified gravity models
  - ▶ Fair comparison with Euclid forecasts, including cross correlation with WL and GC phot to
  - ▶ Could help to solve issue of combining spectro and photo samples
  - ▶ More realistic framework:
    - ▶ non linearities
    - ▶ higher order covariances
    - ▶ more systematics parameters