

# Top reconstruction and spin correlations

Romain Madar - LPC Top LHC France Workshop April 2021



# How to observe top quark spin?

Spin state = behaviour under rotation  $\rightarrow$  angles of decay products

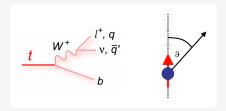
#### The Top quark decays before hadronization:

- spin information transmitted to decay products (W, b)
- ullet secondary decay products only  $(\ell, \nu, b)$  are detected

### Angle of decay products in the top rest-frame, a proxy to spin state:

$$\frac{1}{\Gamma_t} \frac{\mathrm{d}\Gamma_t}{\mathrm{d}\cos\theta} \; = \; \frac{1}{2} \left( 1 + A\cos\theta \right)$$

$$A_{\ell,q} = 1$$
,  $A_{\nu,q'} = -0.31$ ,  $A_b = -0.41$ 



### How to observe top quark spin correlations?

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#### Cross-section as function of lepton directions:

$$\frac{\mathrm{d}^2\sigma}{\mathrm{d}\hat{\ell}_1\mathrm{d}\hat{\ell}_2} \, \propto \, \left(1 \, + \, B_1\cdot\hat{\ell}_1 \, + \, B_2\cdot\hat{\ell}_2 \, - \, \hat{\ell}_1\cdot\textit{C}\cdot\hat{\ell}_2\right)$$

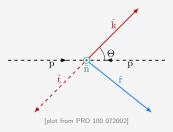
 $(\hat{\ell}_i \equiv \text{unity vector aligned with the lepton } i \text{ direction})$ 

#### 15 observables for 2 quarks and 3 axes

- polarizations:  $B_i$  (2 × 3-vectors)
- correlations: C (3 × 3 matrix)

#### Arbitrary choices of (quantization) axes

- **1.** lab-frame axes  $(\vec{x}, \vec{y}, \vec{z})$ : beam basis
- **2.** ZMF of top quarks  $(\vec{k}, \vec{r}, \vec{n})$ : helicity basis



# Top reconstruction: motivation, challenge & methods

### Spin observables $\sim$ angles in top quark rest-frame

- $\bullet$  what we need:  $\vec{p}^{\;\nu},\; \vec{p}^{\;\ell}$  and  $\vec{p}^{\;b}$
- what we get:  $E_T^{\text{miss}}$ ,  $\vec{p}^{\ell}$  and  $\{\vec{p}^j$ , b-tag}

### Two difficulties: neutrinos v.s. missing energy $(2\ell)$ & jets combinatorics

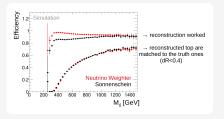
### Two tested strategies to handle $\vec{p}_{\nu}$ 's ambiguity

- 1. scan kinematics ( $\eta_{\nu}$ 's) and weight each configuration based on  $E_{T}^{\rm miss}$  resolution, keep the highest weight kinematics.  $\nu$ Weighter method [PRD 80 092006]
- 2. resolve analytically the equations  $\rightarrow$  0, 2 or 4 solutions, keep the lowest  $m_{t\bar{t}}$  solution. Sonnenschein and Ellipse methods [PRD 78 079902, NIMA 2013 10 039]

### **Trying different kinematics** for jet combinatorics but not only ...

- $\bullet~\nu \mbox{Weighter:}$  intrinsic to the method, considering on top several jets combinations
- analytics: smear object kinematics (and jet comb.) to reduce 0-solution cases

# Top reconstruction performances - simulation

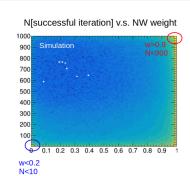


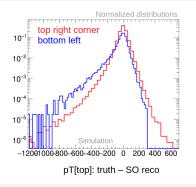
#### Two main aspects:

- 1. efficiency (left)
- 2. quality (bottom)

 $w \equiv \text{weight from } \nu \text{W (high} = \text{better)}$ 

 $N \equiv$  number of smeared kinem with a solution





### Detector response for one spin observable - simulation

Correlations between two top axes: defining  $c_{kk} \equiv \cos \theta_+^k \cos \theta_-^k$ , and A the correlation, integrating  $\frac{\mathrm{d}^2 \sigma}{\mathrm{d} \ell_1 \mathrm{d} \ell_2}$  over all the other angles:

$$\frac{\mathrm{d}\sigma}{\mathrm{d}c_{kk}} = \frac{\sigma}{4} \left( 1 - A c_{kk} \right) \rightarrow A = -9 \left\langle c_{kk} \right\rangle$$

 $c_{kk}$  distribution should be well reconstructed, ideally a purely diagonal migration matrix

