



Laboratoire de Physique des 2 Infinis





# Probing inflation with cosmological observables

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Inflation

### Reheating

## Structures/galaxies

Cosmic Microwave Background



Dark Age



#### How Inflation?

- One scalar field  $\phi$
- slow-roll

 $V(\phi)$ 

• Negative pressure



 ${\dot\phi}^2 \ll V(\phi)$ 

#### How does Inflation end ?

At the end of inflation:

- Homogeneous
- isotropic
- flat
- But... Empty !







One field *Inflation* can generates Adiabatic perturbations

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$$egin{aligned} &
ho_i(t,\mathbf{x}) = ar{
ho}_i(t+\delta t(t,\mathbf{x})) \ &
ightarrow \delta_{CDM} = \delta_b = rac{3}{4}\delta_
u = 0 \ &
ho_i = 0$$

One field *Inflation* generates nearly-Gaussian Adiabatic perturbations

We use the Curvature perturbation to parametrize the primordial fluctuation:

n

 $\mathcal{C}(\mathcal{R}(k))$ 

If purely Gaussian, all the information is in the *Power spectrum* 

 $\mathcal{R}$ 

 $ightarrow \sigma \propto \sqrt{P(k)}$ 

*Inflation* generates nearly-Gaussian Adiabatic and nearly-scale invariant perturbations









Multi field *Inflation* generates Adiabatic and density isocurvature perturbations

$$S^i_d = rac{1}{1+\omega_i}\delta_i - rac{3}{4}\delta_\gamma$$

Multi field *Inflation* generates large non-Gaussian perturbations





Multi field *Inflation* generates Adiabatic and isocurvature perturbations and large non-Gaussianities







## Conclusion

- Inflation predicts many features of our universe:
  - Single field inflation predicts Gaussian and Adiabatic initial conditions
  - Multi fields can generates Isocurvature modes and large non-Gaussianities

 $\mathbf{R}^{IJK}$ 

 $10^{15} GeV$ 

- The primordial fluctuation can be propagated through the universe history. We can measure the primordial power spectrum in
  - the CMB temperature fluctuations
  - the LSS distributions

The study of these correlations, especially the non-Gaussianities and the isocurvature modes, gives us access to the physics of the largest energy scale we could have access to:

#### One field *Inflation*

$$P_{\mathcal{R}}(k)k^3 \propto A_s \left(rac{k}{k_p}
ight)^{n_s-1}$$

$$f_{NL} \sim \left( rac{B(k_1,k_2,k_3)}{P(k_1)P(k_2)} 
ight)_{k_3 o 0} = n_s - 1$$

- Adiabatic
- quasi Gaussian
- quasi scale invariant



#### Multi-field Inflation

$$P_{I}(k)k^{3} = A_{s}^{I} \Big(rac{k}{k_{p}}\Big)^{n_{s}^{I}-1} 
onumber \ B(k_{1},k_{2},k_{3}) = f_{NL}(P(k_{1})P(k_{2})+perm)$$

- Adiabatic/Isocurvature
- large non-Gaussianities
- quasi scale invariant



Multi field *Inflation* generates Adiabatic and density and velocity isocurvature perturbations

$$S_v^i = rac{1}{1-f_
u} (v_i - v_\gamma)$$
 $v = rac{\delta H}{H}$ 

#### Perturbations evolution

