Impact of nonlinear prescriptions and baryonic effects on future weak lensing analyses



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The Euclid mission

Modeling of matter

Baryonic effects

Conclusions



Euclid: impact of nonlinear prescriptions on cosmological parameter estimation from weak lensing cosmic shear*

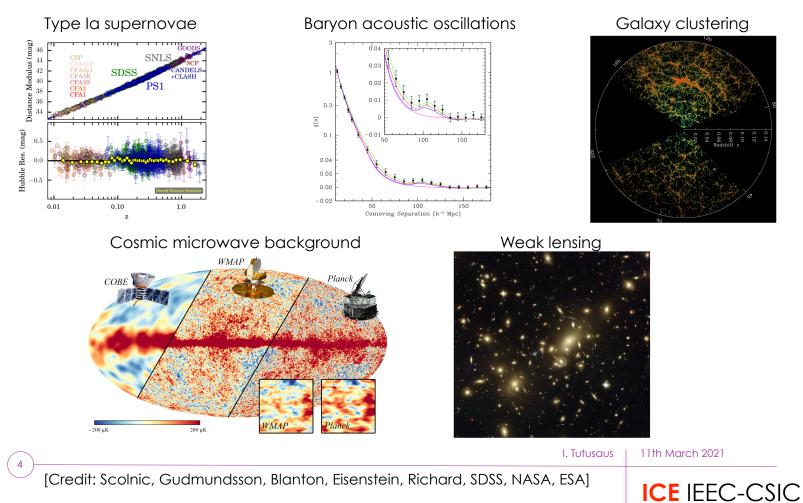
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LCDM has become the concordance model thanks to its ability to fit (and predict) many different cosmological data sets:



LCDM has become the concordance model thanks to its ability to fit (and predict) many different cosmological data sets:

Combining probes (BAO+CMB):

Parameter	Symbol	Value
Physical baryon density	$\Omega_{ m b}h^2$	0.02242 ± 0.00014
Physical cold dark matter density	$\Omega_{ m cdm} h^2$	0.11933 ± 0.00091
Dimensionless Hubble constant	h	0.6766 ± 0.0042
Power spectrum amplitude	$\ln(10^{10}A_s)$	$3.047~\pm~0.014$
Power spectrum slope	n_s	0.9665 ± 0.0038
Re-ionization optical depth	au	0.0561 ± 0.0071
CMB temperature	$T_{\mathrm{CMB}}[\mathrm{K}]$	2.72548 ± 0.00057

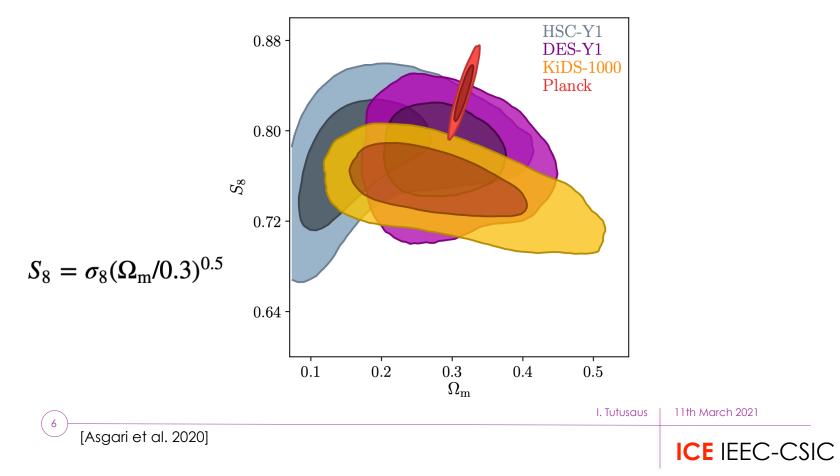


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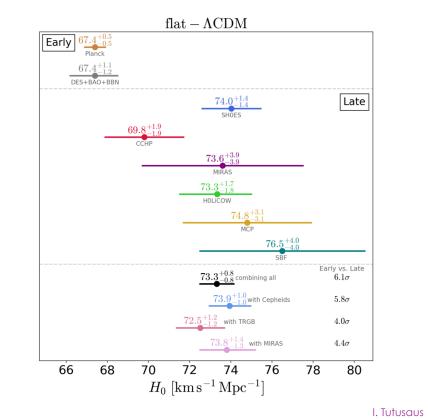
However, some tensions start to appear between different data sets within the LCDM framework:

Tension on σ_8 from CMB and WL measurements



However, some tensions start to appear between different data sets within the LCDM framework:

• Tension on H_0 from direct and derived measurements.



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And the nature of ~95% of the energy content of the Universe remains still unknown.

We need more precise measurements to test models beyond LCDM:

Simple example: parametrize dark energy with an effective fluid with equation of state:

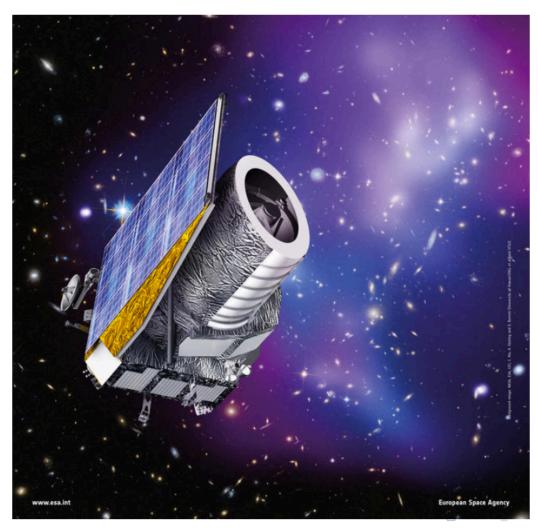
$$p = w
ho \quad \Rightarrow \quad w(z) = w_0 + w_a rac{z}{1+z}$$



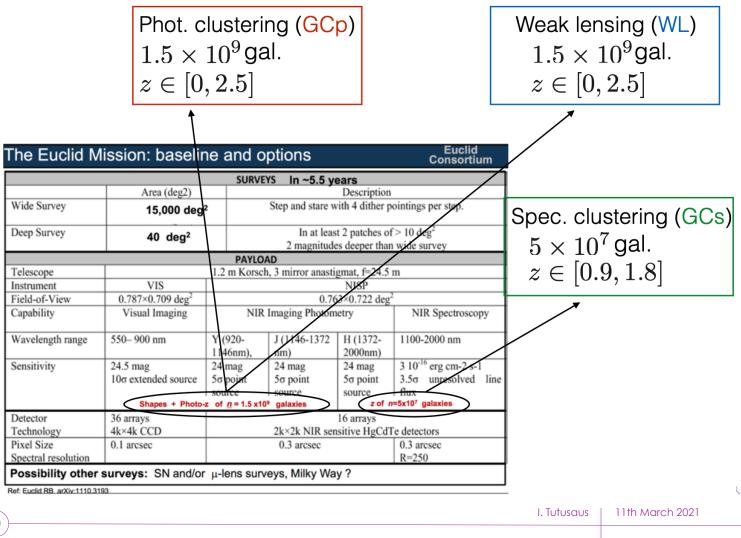
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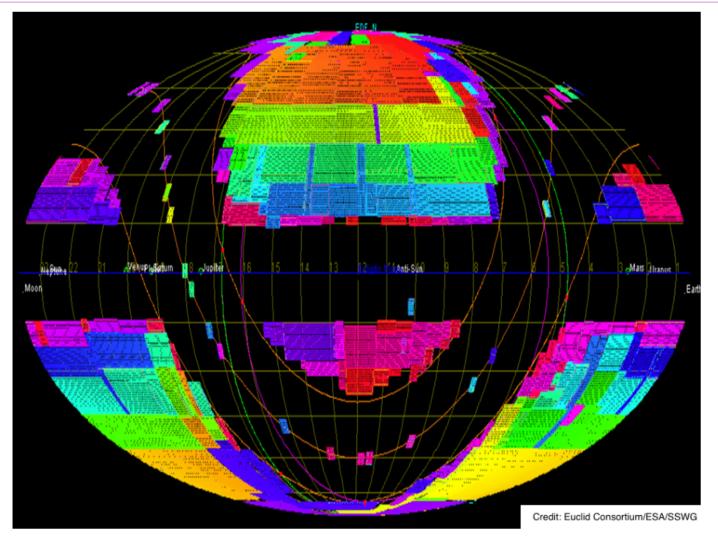




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> Euclid will probe **scales** and **redshifts** currently inaccessible.

However, we need an **accurate modeling** of the large-scale structure of the Universe in order **not to bias** our cosmological analyses.

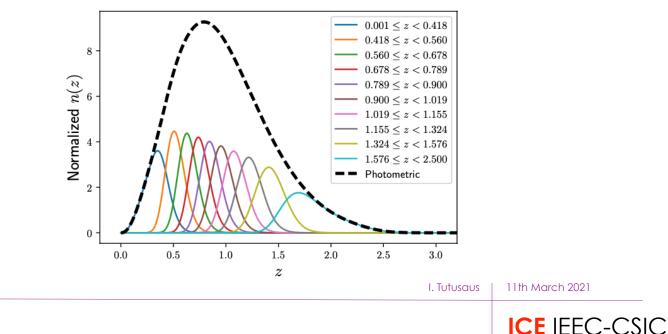
Question: Given our current knowledge on the modeling, how significant could be the changes in the results for Euclid cosmic shear analyses?



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Euclid cosmic shear forecasts:

- Fisher matrix (and MCMC) forecasts based on Euclid Collaboration: Blanchard et al. 2020 recipe.
- Redshift distribution of sources: $n(z) \propto \left(\frac{z}{z_0}\right)^2 \exp\left[-\left(\frac{z}{z_0}\right)^{3/2}\right]$
- convolved with 2 Gaussian distributions for photo-zs.
- 10 tomographic bins between z=0 and 2.5. 30 gal/arcmin^2.



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Euclid cosmic shear forecasts:

Observable:

$$C_{ij}^{\epsilon\epsilon}(\ell) = c \int \mathrm{d}z \, \frac{W_i^{\epsilon}(z)W_j^{\epsilon}(z)}{H(z)r^2(z)} P_{\delta\delta}\left[\frac{\ell+1/2}{r(z)}, z\right]$$

with IA given by:

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$$W_i^{\epsilon}(z) = W_i^{\gamma}(z) - \frac{\mathcal{A}_{\mathrm{IA}} \mathcal{C}_{\mathrm{IA}} \Omega_{\mathrm{m},0} \mathcal{F}_{\mathrm{IA}}(z) H(z) n_i(z)}{D(z)c}, \qquad \mathcal{F}_{\mathrm{IA}}(z) = (1+z)^{\eta_{\mathrm{IA}}} [\langle L \rangle(z) / L_{\star}(z)]^{\beta_{\mathrm{IA}}}$$

• and a Gaussian covariance:

$$\begin{aligned} \operatorname{Cov}(C_{ij}^{\operatorname{AB}}(\ell), C_{kl}^{\operatorname{A'B'}}(\ell')) &= \frac{\delta_{\ell\ell'}^{\operatorname{K}}}{(2\ell+1)f_{\operatorname{sky}}\Delta\ell} \times \\ & \times \left[\left(C_{ik}^{\operatorname{AA'}}(\ell) + N_{ik}^{\operatorname{AA'}}(\ell) \right) \cdot \left(C_{jl}^{\operatorname{BB'}}(\ell) + N_{jl}^{\operatorname{BB'}}(\ell) \right) \\ & + \left(C_{il}^{\operatorname{AB'}}(\ell) + N_{il}^{\operatorname{AB'}}(\ell) \right) \cdot \left(C_{jk}^{\operatorname{BA'}}(\ell) + N_{jk}^{\operatorname{BA'}}(\ell) \right) \right] \end{aligned}$$



Much of the cosmic shear constraining power comes from small scales (k~7 h/Mpc).

Matter density field perturbations are no longer small, so we cannot use linear theory to predict the large-scale structure.

Option 1: Extend the linear theory (e.g. perturbation theory).

It works until k < 0.3 h/Mpc (mildly nonlinear regime). OK for GC analyses. Not enough for WL.</p>

Option 2: Use N-body simulations (highly nonlinear regime). OK for WL. Not precise enough for GC.

- N-body simulations + fitting function.
- N-body simulations + emulators.



N-body simulations + fitting function:

- Run several N-body simulations (large volume and low particle mass) in different points of the parameter space.
- Compute the power spectrum of matter for each simulation.
- Fit a fitting function with several free parameters to match the spectra.
- E.g. Halofit, Halofit+PKEqual, HMCode.



N-body simulations + fitting function:

Halofit:

- One of the first widely used [Smith et al. 2003].
- Fitting function based on the halo model [Peacock & Smith 2000; Seljak 2000; Ma & Fry 2000] density field described by isolated dark matter haloes:

$$P_{\rm NL}(k) = P_{\rm Q}(k) + P_{\rm H}(k) \,,$$

 Proposal [Seljak 2000; Ma & Fry 2000; Scoccimarro et al. 2001]:

$$P_{\rm Q}(k) = P_{\rm L}(k) \left[\frac{1}{\bar{\rho}} \int dM \, b_{\rm H}(M) n(M) \tilde{\rho}(k, M) \right]^2,$$

halo bias halo distribution halo density profile
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N-body simulations + fitting function:

Halofit:

• Simpler approach [Peacock & Smith 2000; Smith et al. 2003]:

$$\Delta^2(k) \equiv rac{k^3}{2\pi^2} P(k) \,, \qquad \Delta^2_{
m Q}(k) = \Delta^2_{
m L}(k) rac{[1 + \Delta^2_{
m L}(k)]^{eta_n}}{1 + lpha_n \Delta^2_{
m L}(k)} \, {
m e}^{-f(y)} \,,$$

• 1-halo term:

$$P_{\rm H}(k) = rac{1}{ar{
ho}^2 (2\pi)^3} \int {\rm d}M \, n(M) | ilde{
ho}(k,M)|^2$$

• Modeled as shot-noise at large scales and vanishing at small scales [Smith et al. 2003]:

$$\Delta_{\rm H}^2(k) = \frac{{\Delta_{\rm H}^2}'(k)}{1 + \mu_n y^{-1} + \nu_n y^{-2}}$$

• But the simulations used did not include massive neutrinos.



N-body simulations + fitting function:

- Halofit with Bird and Takahashi corrections:
 - One of the most used nowadays [Smith et al. 2003; Bird et al. 2012; Takahashi et al. 2012].
 - Bird: corrections to the fitting function to include massive neutrinos.
 - Takahashi: update of the fitting function parameters with new (and better) simulations.
 - But the simulations used did not include evolving dark energy (only w0).
 - I will refer to this model as Halofit in the following.



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N-body simulations + fitting function:

- Halofit with PKequal [Casarini et al. 2016]:
 - To account for an evolving dark energy equation of state we can run more simulations or map the nonlinear spectra of constant dark energy models to those with evolving dark energy.
 - PKequal does this mapping imposing the equivalence of the distance to the CMB and requiring that the density fluctuation amplitudes are the same. For each w0, wa, and z there is a unique w_eq and sigma8_eq.



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N-body simulations + fitting function:

- HMCode [Mead et al. 2015; 2016; 2020]:
 - Physically-motivated free parameters into the halo model formalism.
 - New simulations.

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- Can account for baryonic effects (not considered in the following).
- Accounts for massive neutrinos and evolving dark energy (2016; 2020).
- One of the most used nowadays.



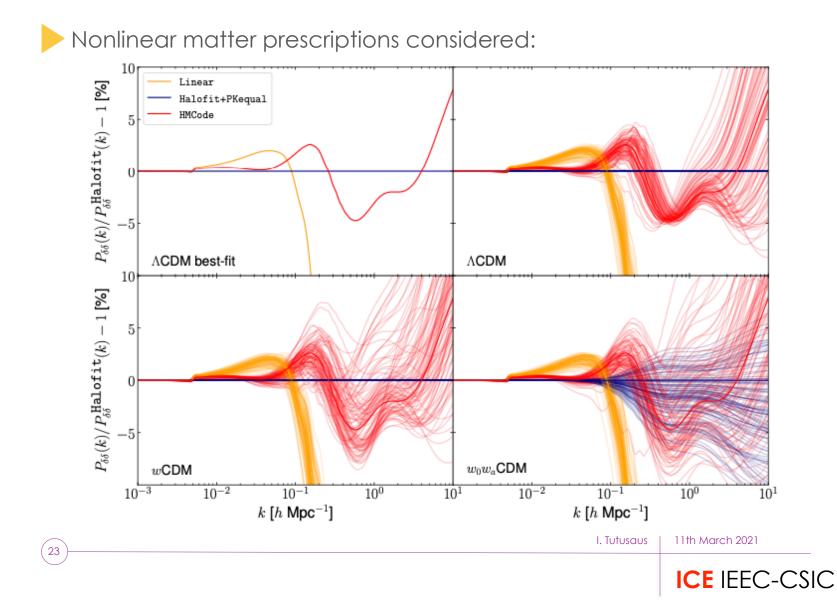


N-body simulations + fitting function

N-body simulations + emulators:

- Run several N-body simulations (large volume and low particle mass) in different points of the parameter space.
- Compute the power spectrum of matter for each simulation.
- Interpolate the different spectra.
- It does not degrade the accuracy of the corrections over the parameter space, nor the redshift and scale ranges.
- E.g. Coyote [Heitmann et al. 2009; 2010; 2014; Lawrence et al. 2010], Euclid Emulator [Knabenhans et al. 2019; 2020], BACCO [Angulo et al. 2020]





Impact of nonlinear corrections on forecast constraints:

- Fisher matrix analyses for Euclid WL following Euclid Collaboration: Blanchard et al. 2020
- Figure-of-merit:

$$\operatorname{FoM} = \sqrt{\operatorname{det} \tilde{\mathsf{F}}_{w_0 w_a}},$$

pessimistic

	$\ell_{ m max}$	Halofit	HMCode	Halofit+PKequal
	1500	23	14	19
	5000	44	34	36
optimistic ⁻				

Up to 60% change in constraining power because of the nonlinear matter modeling.



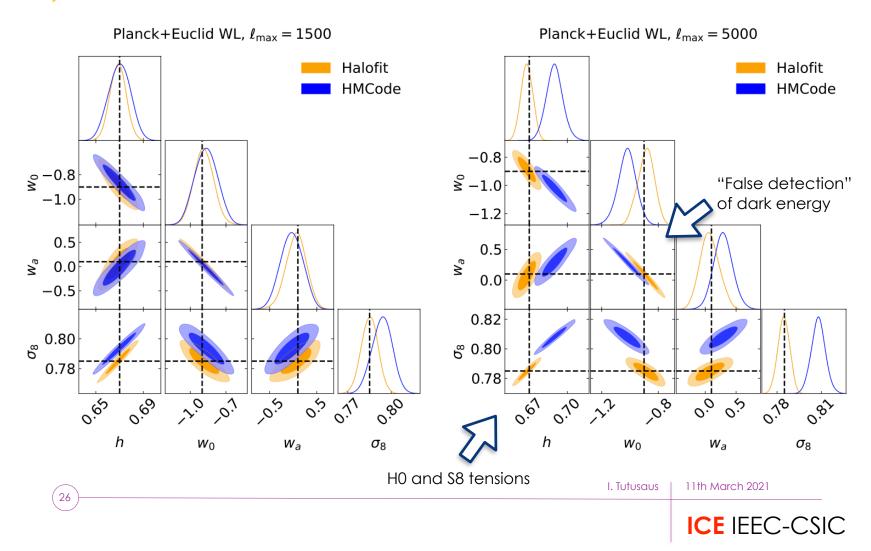
What happens if the Universe does not follow our exact model?

- Assume the true Universe is given by Halofit+PKequal.
- Perform our cosmological analyses (MCMC parameter estimation) with other models.
- Fiducial cosmology not LCDM.
- Add the TT, TE, EE, and lensing data from a mock Planck likelihood.
- Compute the biases on cosmological parameters with respect to the fiducial cosmology:

$$B(\theta) = \frac{|\theta^{\star} - \theta^{\text{fid}}|}{\sigma},$$



What happens if the Universe does not follow our exact model?



What happens if the Universe does not follow our exact model?

					HMCode	Threshold < 0.1		
θ	$\ell_{ m max}$	$ heta^{\star}$	σ	В	θ^{\star}	σ	В	
	1500	0.02244	0.00011	0.08	0.02240	0.00012	0.43	
$\omega_{ m b,0}$								
	5000	0.02243	0.00012	0.15	0.02246	0.00012	0.05	
	1500	0.12056	0.00036	0	0.12101	0.00039	1.16	
$\omega_{\mathrm{c},0}$	5000	0.12054	0.00038	0.053	0.12112	0.00036	1.57	
	1500	0.12034 0.6689	0.00038	0.055	0.12112	0.00030	0.02	
h	1500	0.0003	0.0003	0.10	0.0702	0.0030	0.02	
10	5000	0.6683	0.0048	0.36	0.6899	0.0066	3.02	1/
	1500	3.0591	0.0086	0.09	3.0657	0.0088	0.84	/
$\ln(10^{10}A_{\rm s})$								
. ,	5000	3.0593	0.0090	0.10	3.0656	0.0086	0.85	
	1500	0.9602	0.0025	0.06	0.9615	0.0027	0.57	
$n_{ m s}$		0.0001		0.10	0.0550		1.00	
	5000	0.9604	0.0023	0.18	0.9556	0.0023	1.90	
	1500	-0.888	0.085	0.14	-0.869	0.099	0.31	
w_0	5000	-0.888	0.060	0.21	-1.021	0.064	1.88	
	$\frac{5000}{1500}$	0.07	0.000	0.21	-0.021	0.25	0.50	
w_a	1000	0.01	0.21	0.11	0.02	0.20	0.00	
a di	5000	0.07	0.16	0.16	0.29	0.16	1.22	
	1500	0.3212	0.0065	0.18	0.3209	0.0090	0.10	
$\Omega_{ m m,0}$								
	5000	0.32164	0.0046	0.36	0.3031	0.0057	2.96	
	1500	0.7852	0.0058	0.14	0.7938	0.0071	1.09	
σ_8	5000	0.7847	0.0041	0.30	0.8080	0.0048	4.62	
		0.7647		0.30	0.8080		4.02	
$\Lambda \sim 2$	1500		0.60			32.04		11th March 2021
$\Delta\chi^2$	5000		1.06			62.34		
	5000		1.00			02.04		.CE IEEC-CSIC



But WL probes the very small scales (highly nonlinear):

- Baryons collapse into the dark matter halos to form stars, or are heated up, or expelled into the intergalactic medium.
- Baryonic processes modify the matter power spectrum at small scales: suppression due to AGN feedback (k = 3 - 13 h/Mpc) and boost due to stars (k > 15 h/Mpc).

Approach: modify the nonlinear matter power spectrum with a correction factor accounting for baryons:

$$P_{\mathrm{c+b}}(k,z) = P_{\delta\delta}(k,z)\mathcal{B}(k,z)\,,$$

- Can be estimated from hydrodynamical simulations including baryons.
- No clear way (yet) to incorporate baryonic effects into cosmological simulations from first principles. It leads to several baryonic corrections depending on the baryonic recipe used.



Approach: modify the nonlinear matter power spectrum with a correction factor accounting for baryons:

$$P_{\mathrm{c+b}}(k,z) = P_{\delta\delta}(k,z)\mathcal{B}(k,z),$$

• Examples: Harnois-Déraps et al. 2015 — HD15

- Based on 3 scenarios of the Over-Whelmingly Large hydrodynamical simulations [Schaye et al. 2010]
- Accuracy better than 2% for k < 1h/Mpc and z < 1.5

 $\begin{aligned} \mathcal{B}(k,z) &= 1 - A_{\rm HD15}(z) \, \exp\left\{ [B_{\rm HD15}(z) \, x(k) - C_{\rm HD15}(z)]^3 \right\} \\ &+ D_{\rm HD15}(z) \, x(k) \, \exp\left[E_{\rm HD15}(z) \, x(k) \right] \,, \end{aligned}$

• with $x(k)\equiv \log_{10}{(k/[h\,{
m Mpc}^{-1}])}$ and $X_{
m HD15}(z)$ are polynomials.



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Approach: modify the nonlinear matter power spectrum with a correction factor accounting for baryons:

$$P_{\mathrm{c+b}}(k,z) = P_{\delta\delta}(k,z)\mathcal{B}(k,z),$$

• Examples: Schneider & Teyssier 2015 — ST15

- DM-only N-body simulations with density field modifications to mimic a baryonic feedback recipe.
- Explicitly modeling halos, hot gas in hydrostatic equilibrium, ejected gas and stars.
- Model parameters set to resemble SZ and X-ray observations.

$$\mathcal{B}(k,z) = rac{1 + (k/k_{
m s})^2}{\left[1 + k/k_{
m g}(z)
ight]^3} \mathcal{G}(z) + \left[1 + (k/k_{
m s})^2\right] \left[1 - \mathcal{G}(z)
ight],$$

• Model parameters updated to the best fitting values obtained with the more recent Horizon-AGN simulations [Chisari et al. 2018].



Approach: modify the nonlinear matter power spectrum with a correction factor accounting for baryons:

$$P_{\mathrm{c+b}}(k,z) = P_{\delta\delta}(k,z)\mathcal{B}(k,z),$$

Examples: Chisari et al. 2018 — CH18

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- ST15 performs well at low redshift, but its accuracy degrades at high redshift.
- New proposal fitting the Horizon-AGN simulations:

$$\mathcal{B}(k,z) = rac{[1+k/k_{
m s}(z)]^2}{[1+k/k_{
m s}(z)]^{1.39}}$$

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Impact of baryonic corrections on forecast constraints:

- Fisher matrix analyses for Euclid WL following Euclid Collaboration: Blanchard et al. 2020
- Figure-of-merit:

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$$\operatorname{FoM} = \sqrt{\operatorname{det} \tilde{\mathsf{F}}_{w_0 w_a}},$$

pessimistic					
	$\ell_{ m max}$	Halofit	HD15	ST15	Ch18
	1500	23	22	21	22
	5000	44	37	41	41
optimistic					

 No significant change in constraining power because of the baryonic correction.



What happens if baryons do not follow our exact model? Or if we do not include them?

- Assume the true Universe have no baryons.
- Perform our cosmological analyses (MCMC parameter estimation) with different baryonic models.
- Fiducial cosmology not LCDM.

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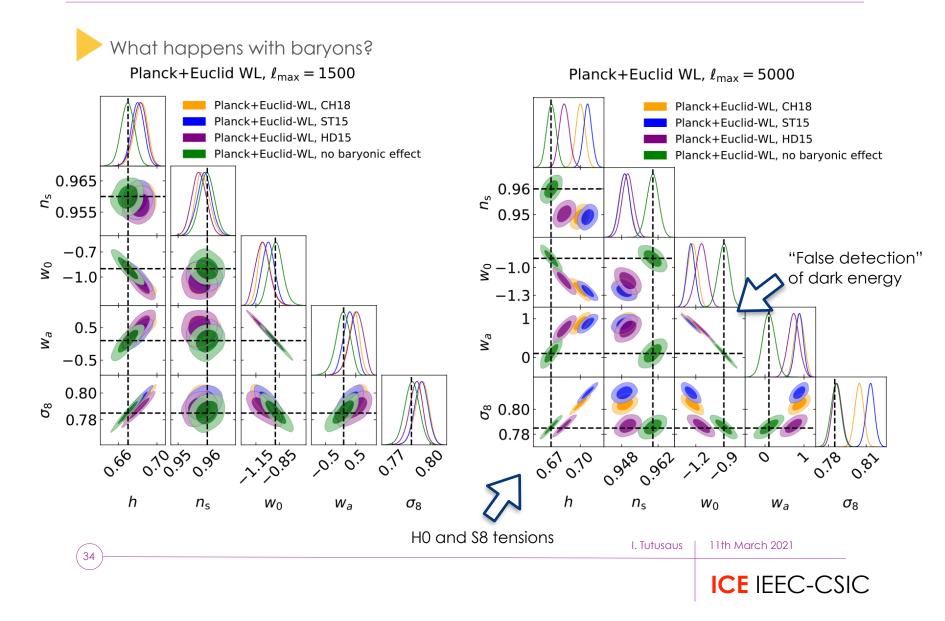
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$$B(heta) = rac{| heta^{\star} - heta^{ ext{fid}}|}{\sigma},$$

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What happens with baryons?								Threshold < 0.1			
									1		
			CH18				ST15			HD15	
θ	$\ell_{ m max}$	$ heta^\star$	σ	B		$ heta^\star$	σ	B	θ^{\star}	σ	В
$\omega_{ m b,0}$	1500	0.2246	0.00011	0.09		0.2245	0.00012	0.00	0.02249	0.00012	0.34
, -	5000	0.02251	0.00012	0.51		0.02252	0.00012	0.64	0.02252	0.00012	0.56
$\omega_{\mathrm{c},0}$	1500	0.12061	0.00035	0.15		0.12059	0.00036	0.08	0.12044	0.00040	0.30
	5000	0.12109	0.00036	1.49		0.12110	0.00037	1.46	0.12083	0.00036	0.76
h	1500	0.6833	0.0069	1.92		0.6799	0.0065	1.52	0.6819	0.0069	1.73
	5000	0.6990	0.0041	7.15		0.7069	0.0041	9.11	0.6835	0.0045	2.99
$\ln(10^{10}A_{\rm s})$	1500	3.0571	0.0087	0.14		3.0590	0.0083	0.07	3.0578	0.0084	0.07
	5000	3.0644	0.0083	0.73		3.0679	0.0087	1.10	3.0592	0.0083	0.10
$n_{ m s}$	1500	0.9583	0.0024	0.68		0.9589	0.0025	0.42	0.9572	0.0025	1.11
	5000	0.9489	0.0020	5.49		0.9488	0.0021	5.44	0.9503	0.0021	4.69
w_0	1500	-1.040	0.078	1.79		-0.990	0.078	1.16	-1.063	0.092	1.77
	5000	-1.220	0.039	8.22		-1.240	0.040	8.43	-1.142	0.053	4.55
w_a	1500	0.43	0.19	1.68		0.30	0.20	0.98	0.51	0.23	1.78
	5000	0.84	0.09	8.27		0.84	0.10	7.70	0.73	0.13	5.04
$\Delta \chi^2$	1500		6.35				3.94			11.54	
	5000		63.61				107.32			45.05	

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Action Dark Energy Conclusions

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LCDM provides an excellent fit to the data, but some tensions start to appear and the nature of its components remains unknown.

We need to test other models with new data, but it requires a proper modeling of the small scales.

Given the scales we would like to probe with Euclid, and the discrepancies between the current nonlinear matter models, we expect significant changes in the results.

Neglecting baryonic effects in Euclid will not change significantly the constraining power, but it will severely bias the results.

A wrong model of nonlinearities can influence the H0 and S8 tensions and could lead us to a false detection of dark energy!

Significant effort will be needed to properly model the scales Euclid will probe.

