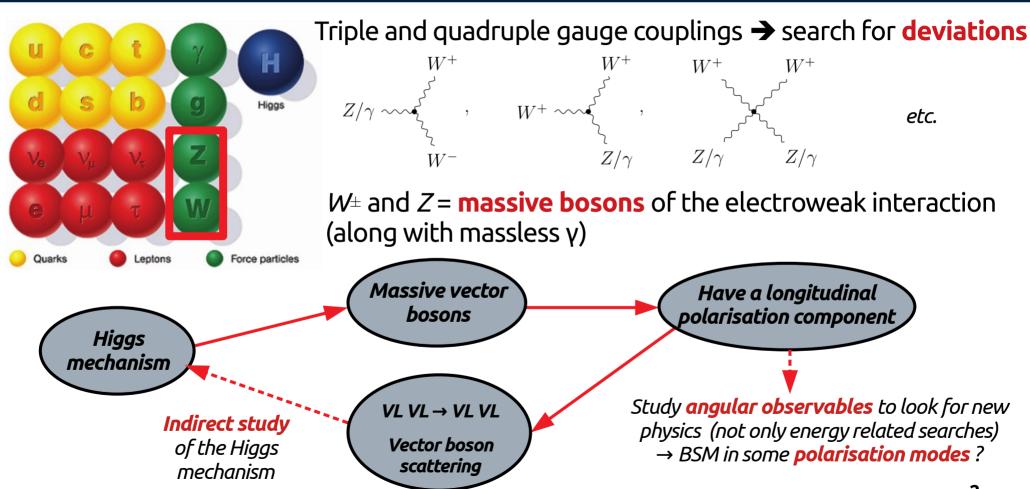




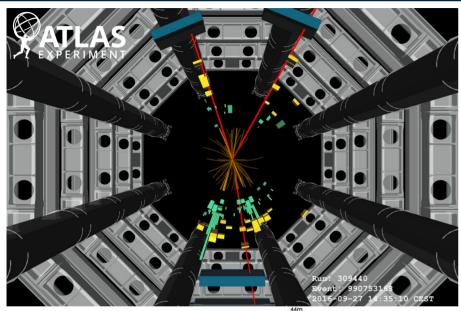


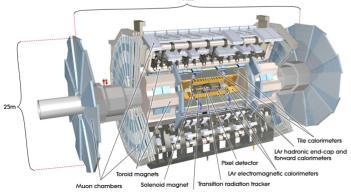


W and Z bosons



The ATLAS detector





A multi-purpose detector:

From inner layers to outer layers

- Trackers:

→ Tracks of charged particles (electrons, muons, charged hadrons in jets)

– Calorimeters :

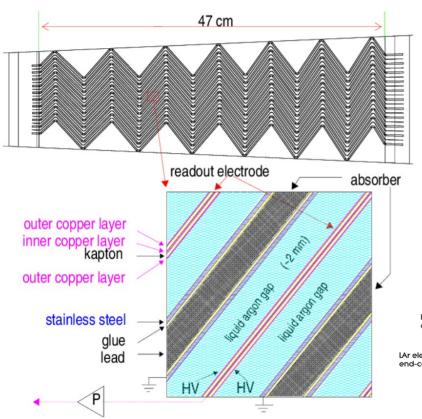
→ Measure the energy of particles stopped inside

- Muon detector:

→ Tracks of muons that went through the calorimeters

Particle Identification (depending on which detectors are activated) and measurement of its parameters (energy, pT,...)

The Liquid Argon Calorimeter

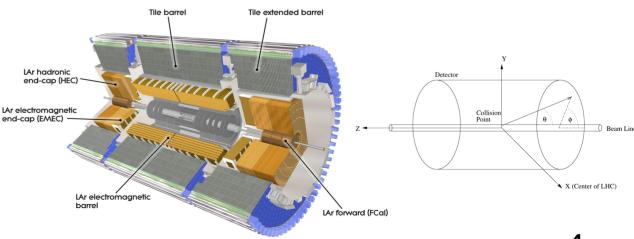


Sandwich of **absorber material** (Pb) and **Liquid Argon** (LAr)

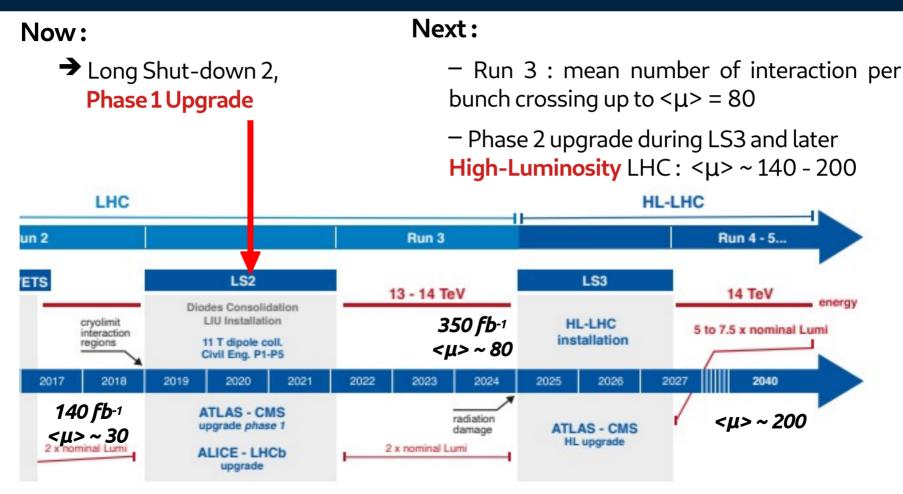
→ Particles ionize LAr: electrical signal linked to the deposited energy

Divided into ~200 000 cells in 4 subsystems

 \rightarrow Rapidity $\eta = -\ln(tg\theta)$ and φ angle information



LHC timeline



PHASE 1 UPGRADE OF THE LIQUID ARGON CALORIMETER IN ATLAS

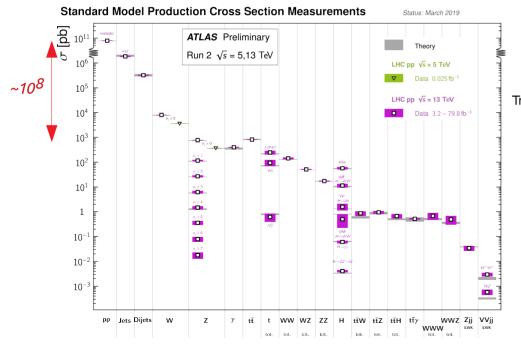
Trigger Tower

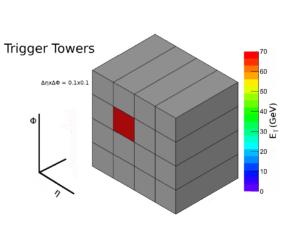
Why a trigger: one bunch crossing (BC) every **25 ns** that is a frequency of **40 MHz**

→ Record only **physically interesting events**

L1 accept : **hardware trigger** system 40 MHz→100 kHz = decide in **few** µs

→ Reduced granularity!





Data Stream

1 event = 1.5 Mb No trigger = 60 Tb/s With triggers = 1 Gb/s

Trigger Tower:

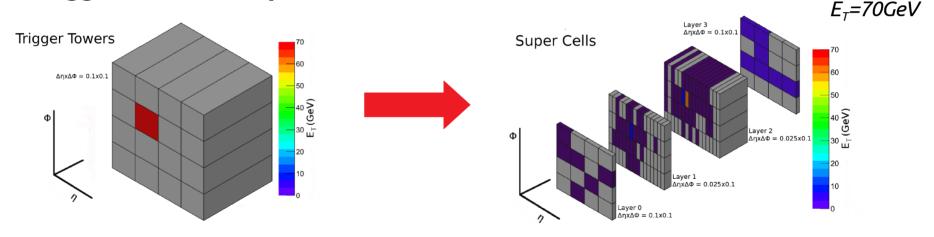
- -Phase space : $\Delta \phi x \Delta \eta \sim 0.1 \times 0.1$
- No longitudinal granularity
- →1TT~60 cells

Goal of the Phase 1 Upgrade

Higher pile-up expected : $<\mu>$ = **80** (Run 3) to **200** (HL-LHC)

- →Improve Trigger discriminating power = Increase granularity
- →Exploit electron/photon **shower shape** at L1A, not only the energy

From Trigger Tower to SuperCells:



- Granularity: 1 TT = 10 SC = 1 + 4 + 4 + 1 SC
 - → From **5248 TT** to **34 049 SC**
- Digitization (improved precision) and better pile-up subtraction (baseline correction)

Electron with

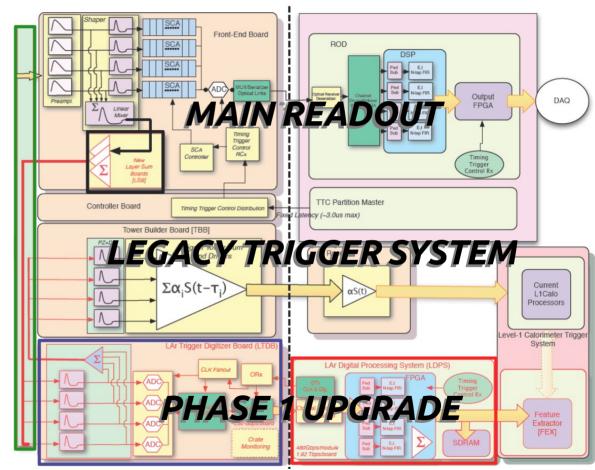
What is changed

Layer Sum Board (LSB): sum LAr cells in SuperCells

Baseplane: new cabling for the higher granularity signal

LAr Trigger Digitizer Board (LTDB): Digitize analogical signals (and re-sum for the legacy trigger system)

Lar Digital Processing system (LDPS): Compute energy per SuperCells and assign it to a Bunch Crossing



At LAPP!

On detector Off detector

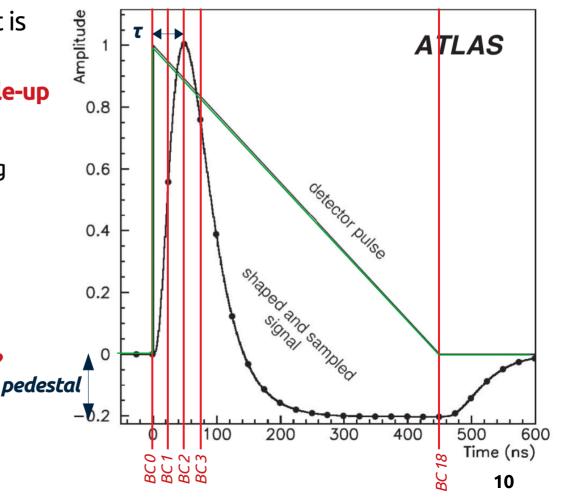
From detector to back-end electronics

Detector pulse lasts around 400 ns, that is around 20 bunch crossings!

- Shaper: cancel out this out-of-time pile-up
- → Negative part → pedestal
- Digitization: at 40 MHz (bunch crossing frequency), encoded on 12 bits

Input data in LDPS: One sample (12 bit integer) per bunch crossing

- Compute energy?
- Associate to correct bunch crossing?
- Saturated pulse?
- Out-of-time pile-up?

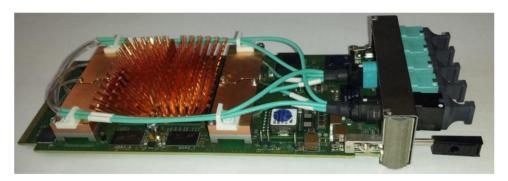


Zooming in: LDPB and LATOME board

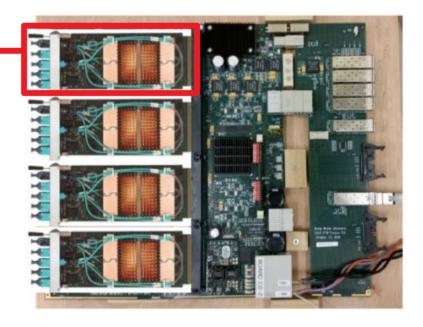
LDPSystem = 3 ATCA crates holding 30 LDPBlades each made of :

- **-4 LATOME :** card built around a FPGA providing memory and logic (\sim 200,000 registers) to compute E_{τ} for each SC and assign Bunch Crossing ID
- -1 LAr Carrier: Hold the LATOME and do the interface with the ATCA crate

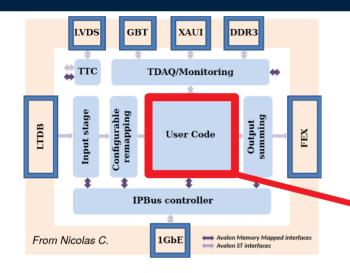
LATOME



Developed built and tested at LAPP



UserCode: Energy computation

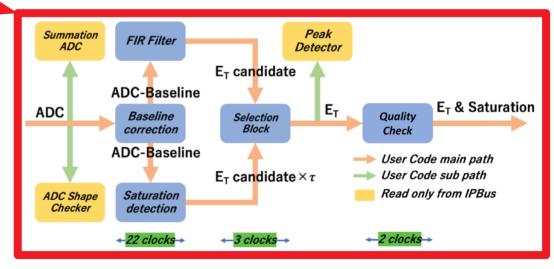


FPGA Firmware of the LATOME made of several blocks

- 48 fibers from LTDB send digitized ADC samples as input
- 48 fibers send computed energy to L1 trigger
- → Energy computation happens in the UserCode

UserCode does:

- **–Energy** E_{τ} computation (FIR Filter)
- Bunch crossing identification
- -Baseline correction (out of time pile-up)
- -Saturation detection



SuperCell specific parameters

Pedestal: ADC counts are integer \rightarrow signed output of sampled signal is $|S_i| = ADC - ped = \propto E_T + noise$

$$S_i = ADC - ped = \infty E_T + noise$$

Optimal filtering coefficient:

– Define random variables \boldsymbol{u} and \boldsymbol{v} with lists of parameters $(\boldsymbol{a})_i$ and $(\boldsymbol{b})_i$

$$u = \sum_{i} a_i S_i, \qquad v = \sum_{i} b_i S_i.$$

- Choose (a); and (b); such that $\langle u \rangle = E_{\tau}$ and $\langle v \rangle = E_{\tau} \tau$ with minimal variance (constraint)
- \rightarrow With 4 consecutive ADC samples and calibrated (a), and (b), for a given SuperCell:

$$E_{\rm T}(m) = \sum_{i=0}^{N-1} a_i \cdot (ADC_{m+i} - ped_{m+i})$$

$$E_{T}(m) = \sum_{i=0}^{N-1} a_{i} \cdot (ADC_{m+i} - ped_{m+i}) \quad \left| \xi(m) = \tau(m) \cdot E_{T}(m) = \sum_{i=0}^{N-1} b_{i} \cdot (ADC_{m+i} - ped_{m+i}) \right|$$

Saturation selection : 6 thresholds on E_{τ} and ξ allow to detect saturated pulses

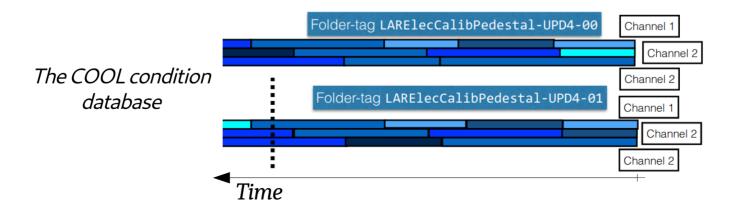
- → 16 parameters per SuperCell
 → 7936 registers to load per LATOME, 116 LATOMES
 - →544 784 parameters in total

The COOL database

Goal: Load these parameters in the **correct register** of the correct LATOME at **configuration stage**

1. Create a dummy database holding these parameters

- Prototyped a condition database on SQLite back-end for SuperCells for Run 3
- → Possibility to store a database for each LHC run conditions : every minute ! (lumi blocks)
- Developed a package to integrate it into the LarOnline code



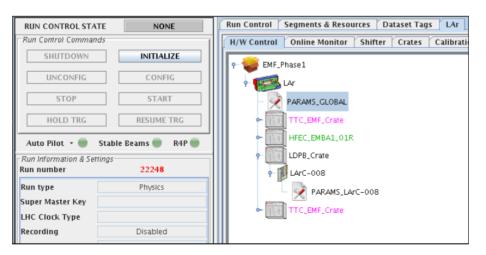
PrepareUserCodeCoefficient

2. Read mapping files of the LATOME

- Map a SuperCell to the registers holding its parameters
- → Issue with IDs: from SuperCell name to numerical identifier in database
- Write all register with values from the database

3. Integrate the database and new code into the LArOnline code

→ Validated on test (EMF) and production LATOME (installed at Point 1)



TDAQ Graphical User Interface

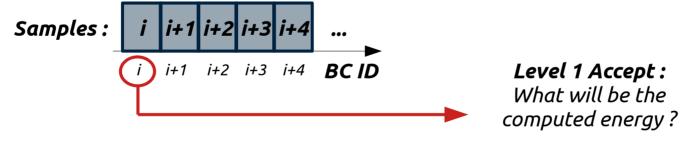
Validation

Goal: Use what has been developed to test the UserCode as a whole!

- \rightarrow Idea: Send data to a LATOME \rightarrow Record its outputs
- Choose OFC configuration wisely!

$$a_i = b_i = (1;0;0;0), (0;1;0;0), (0;0;1;0), (0;0;0;1), (2;0;0;0), etc.$$

– Choose sent dataset : sample sent = bunch crossing ID



$$E_{\mathrm{T}}(m) = \sum_{i=0}^{N-1} a_i \cdot (ADC_{m+i} - ped_{m+i})$$
Set to **0**

 \rightarrow Example: Output = Input for $a_i = (1;0;0;0)$

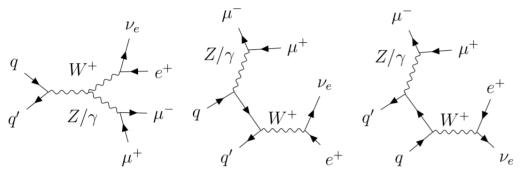
WZ POLARISATION STUDIES

Inclusive WZ channel

Look for events at LHC of the type:

$$p p \to \ell \bar{\ell} \ell' \nu_{\ell'} + X$$

 \rightarrow Main diagrams = resonant W and Z



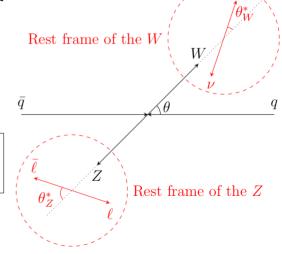
+ any other combination of muons and electrons

Measure kinematic parameters of W and Z boson

– Specifically $\cos \theta^*$: distribution directly linked to polarisation

$$\frac{1}{\sigma} \frac{d\sigma}{d\cos\theta^*} = \frac{3}{8} \left[f_R (1 + \cos^2\theta^* + 2C_W \cos\theta^*) + f_L (1 + \cos^2\theta^* - 2C_W \cos\theta^*) + 2f_0 \left(1 - \cos^2\theta^* \right) \right]$$

→ Polarisation retrieved from generated Truth level data through **fits**



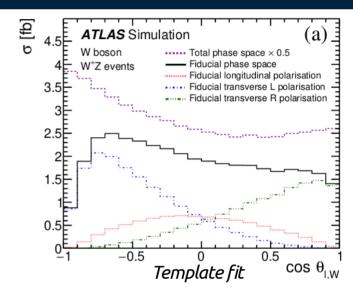
Template Fit

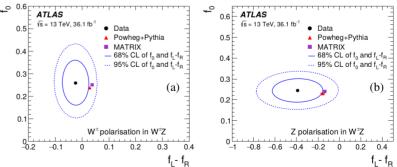
How to measure polarisation fraction on data?

- Done through **template fit** of the data
- → Need templates for each polarisation 0, L,R of a boson!

Already done for a **single boson** polarisation:

- Generate templates at truth level (Monte-Carlo generated)
- Process these templates up to reconstructed level
- Fit to data!





Polarisation fractions measurement for **one boson at a time** https://arxiv.org/pdf/1902.05759.pdf **19**

Goal of the WZ analysis

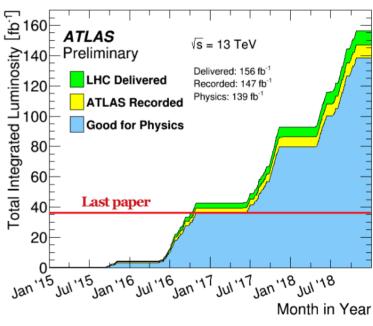
Measure for the first time **both polarisation fractions** of massive vector bosons

$$-f_0 \approx 25 \% \rightarrow f_{00} \approx 5\%$$

→ 36 fb⁻¹ → 139 fb⁻¹ (full Run 2 data) = measurable!

How to get these templates?

- Direct generation of polarised Monte-Carlo
 - → Challenging at NLO
- Reweighting of unpolarised Monte-Carlo
 - → Need both polarisation fractions estimation at generated level, polarisation dependences,...
- → Main **systematic uncertainty** probably from these templates



Luminosity recorded by ATLAS during Run 2

CONCLUSION

Work on ATLAS LAr calorimeter:

- Challenging work in interaction with many LAr experts
- Work regularly presented during LAr Weeks
- → ATLAS qualification task completed

Work on WZ polarisation analysis:

- Developed different methods to obtain polarisation fractions of both bosons
- Developed a method to reweight unpolarised Monte Carlo samples of WZ events

Teaching at IUT d'Annecy:

→ 24 h of TP in physics (half less than planed due to Covid)

PREFIT school in Hambourg (01/03/2020 – 13/03/2020):

→Effective field theory and precision physics (deemed last in-person physics event of the year?)

PROSPECTS

LAr calorimeter:

→ Continue the commissioning of the UserCode

WZ polarisation analysis:

- Finalize the reweighting
- Look at directly generated templates in interaction with theoreticians
- → Finalize the inclusive analysis
- Study polarisation in WZ Vector
 Boson Scattering

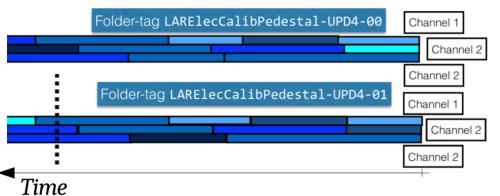


LAr Phase 1 upgrade team at LAPP

BACKUP SLIDES

1st step: Load values from the database

All values will be stored in a condition database (COOL).



New package to read such databases: OnlineLatomeDB

- -Create a condDB object and connect to the database
- Load all required data as blobs in attribute of the condDB object

I developed a dummy database on a SQLite backend for SuperCells



2nd step: Read mapping file

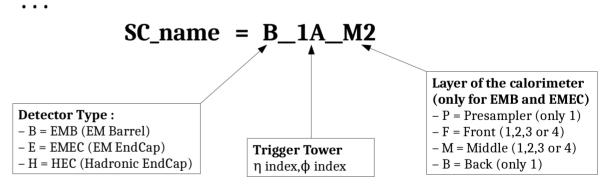
Mapping file of the LATOME:

- SC arrive to the LATOME in 48 streams (input fiber) of 8 SC per BC (25 ns)
- After configurable remapping step, 62 streams of 6 SuperCells
- Need for a mapping of a specific SuperCell to a position in a stream

			SC1	SC2	SC3	SC4	SC5	SC6
Streams	1	PU1	B_1A_P1 (7:5/7)	B_2A_P1 (7:2/6)	B_1C_P1 (31:7/7)	B_2C_P1 (31:3/6)	B_7A_P1 (7:1/1)	B_8A_P1 (7:0/0)
	2	PU2	B_1A_F1 (11:5/7)	B_2A_F1 (11:1/3)	B_1C_F1 (35:6/7)	B_2C_F1 (35:2/3)	B_7A_F1 (10:0/0)	B_8A_F1 (10:4/4)
	3	PU3	B_1A_F2 (11:4/6)	B_2A_F2 (11:0/2)	B_1C_F2 (35:7/6)	B_2C_F2 (35:1/2)	B_7A_F2 (10:3/1)	B_8A_F2 (10:5/5)
	4	PU4	B_1A_F3 (11:7/5)	B_2A_F3 (11:3/0)	B_1C_F3 (35:4/5)	B_2C_F3 (35:0/0)	B_7A_F3 (10:2/2)	B_8A_F3 (10:6/7)
	5	PU5	B_1A_F4 (11:6/4)	B_2A_F4 (11:2/1)	B_1C_F4 (35:5/4)	B_2C_F4 (35:3/1)	B_7A_F4 (10:1/3)	B_8A_F4 (10:7/6)

Problem:

- SuperCell identified in the mapping file with a name
- SuperCell identified in the COOL database with an OnlineID hash (parameters stored in blobs)



Per side (A or C) and quadrant!

From SC_name to onlineID_hash

Conversion needed: **SC_name** — offlineID — onlineID_hash Will never change, Mapping stored in done with Athena =0x2d800001COOL database (can SC2=0x2d800201 tools change) C3=0x2d800005 C4=0x2d800205 SC5=0x2d800c01 SC6=0x2d800e01 A small **SQLite database** (800K) allows for the [PU2] pu_list_offllD.ini For Latome EMBA conversion (full) SC_name → OfflineID SC1=0x2da00001 SC2=0x2da00801 SC3=0x2da00005 SC4=0x2da00805 A python script reads the txt mapping files, does SC5=0x2da03001 the conversion and writes an .ini file then used SC6=0x2da03801 by the code. C1=0x2da00201 2=0x2da00a01 C3=0x2da00205 SC4=0x2da00a05 SC5=0x2da03201 SC6=0x2da03a01

. . . 26

3rd step: Retrieve and write all parameters

Convert OfflineID to OnlineID_hash with the condition DB

hash_id is the index in all retrieved blobs of the conditionDB object

Registers are vectors with 8 slots (only 6 used) to hold parameters in the order of the stream

- -Pedestal, saturation selection thresholds: 1 vector
- -OFC: same, but with 1 vector per OFC (with N = 4 of them)

latome.user.stream_<m>.fir.pedestal[<o>]

latome.user.stream_<m>.fir.tap_<n>[<o>]

m = stream number

o = position of the SuperCell in the stream (and block number in the register)

n = For OFCs, from 0 to 3 thus coding the 4 of them

Extracting polarisation fractions

Goal: Create templates of fully polarised dibosons events at reconstructed level

→First, get templates at truth level from Monte Carlo samples

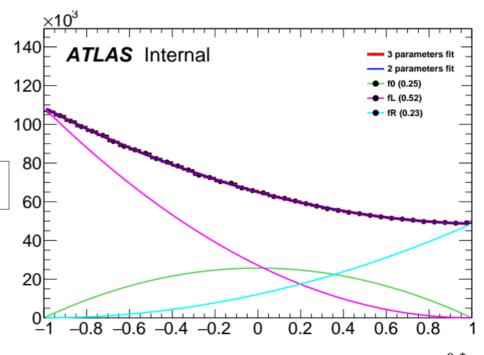
Using the $cos\theta*$ distribution of both bosons: **3 methods** to get the polarisation fraction of 1 boson

-Fit with 3 parameters

$$\frac{1}{\sigma} \frac{d\sigma}{d\cos\theta^*} = \frac{3}{8} \left[f_R (1 + \cos^2\theta^* + 2C_W \cos\theta^*) + f_L (1 + \cos^2\theta^* - 2C_W \cos\theta^*) + 2f_0 \left(1 - \cos^2\theta^* \right) \right]$$

- -Fit with 2 parameters (using $f_0 + f_L + f_R = 1$)
- -Moments' method

Problem: Are the **polarisations** of the two bosons **independent?**



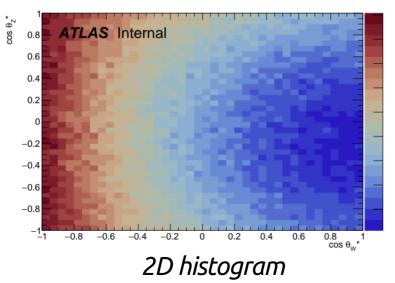
 $Cos\theta* of W+$, total phase space at Truth level

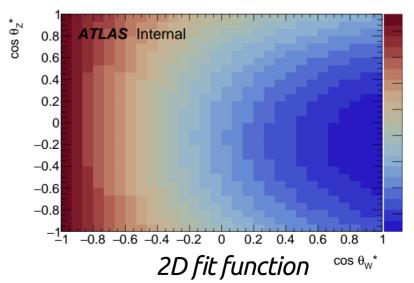
Fractions of diboson polarisation configuration

Get both bosons polarisations (taking into account dependencies): 2D fit!

$$\frac{3}{8} \left[f_R(1 + \cos^2 \theta^* + 2C_W \cos \theta^*) + f_L(1 + \cos^2 \theta^* - 2C_W \cos \theta^*) + 2f_0 \left(1 - \cos^2 \theta^* \right) \right] \quad \boldsymbol{\chi} \quad \frac{3}{8} \left[f_R(1 + \cos^2 \theta^* + 2C_W \cos \theta^*) + f_L(1 + \cos^2 \theta^* - 2C_W \cos \theta^*) + 2f_0 \left(1 - \cos^2 \theta^* \right) \right] \quad \boldsymbol{Zboson}$$

 \rightarrow 9 parameters: f_{00} , f_{0L} , f_{0R} , f_{L0} , ...





W+Z, total phase space at Truth level

Reweighting

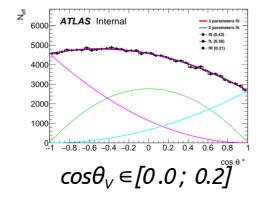
Idea: Apply to each event a **weight = probability** (from its kinematic variables) that the event had a given polarisation configuration.

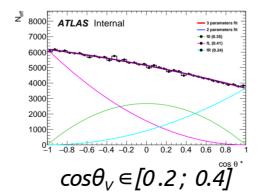
 \rightarrow For one boson, probability it has polarisation h_0 knowing its $\cos\theta^*$: Bayes formula!

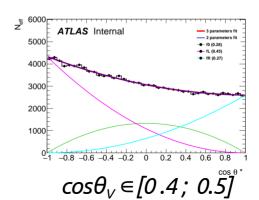
$$\mathbb{P}(h_0|\cos\theta^*, |\cos\theta_V|) = \frac{f_{h_0}(|\cos\theta_V|)\mathbb{P}(\cos\theta^*|h_0, |\cos\theta_V|)}{\sum\limits_{h=0,L,R} f_h(|\cos\theta_V|)\mathbb{P}(\cos\theta^*|h, |\cos\theta_V|)}$$

Warning: a variable (here, $\cos \theta_{v}$) needs to be in the **conditional part** to have its reweighted distribution correctly modified!

→ Compute fractions in bins of this variable!







Reweighting results

For the **validation** of the reweighting, used a **MadGraph Monte Carlo** generated already with polarised bosons (at Leading Order only, few statistics)

