

Beam test of a small MICROMEGAS DHCAL prototype

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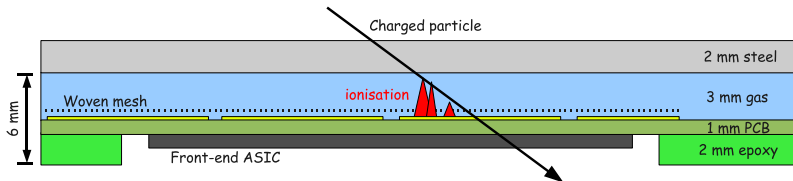
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Introduction

- Micromegas for a DHCAL:
 - fast, radiation hard, good ageing properties, robust, large area, high gas gain, spark proof, standard gas mixture (Ar , $i\text{C}_4\text{H}_{10}$, CO_2)
 - small avalanche charge \rightarrow sensitive front-end electronics

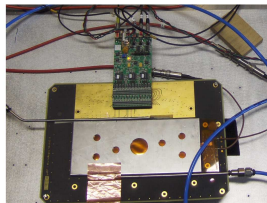
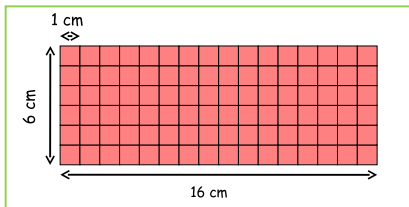


- R&D activities at LAPP:
 - fabrication and test of thin detector of large area (up to 1 m^2)
 - simulation, DAQ (DIF), mechanics (SiD), electronics (DIRAC)

Experimental setup

- Chamber geometry

- Anode PCB with 1 cm² anode pads
- Bulk MICROMEGAS: 128 μm gap mesh laminated on PCB
- Plastic frame and steal cover define a 3 mm drift gap

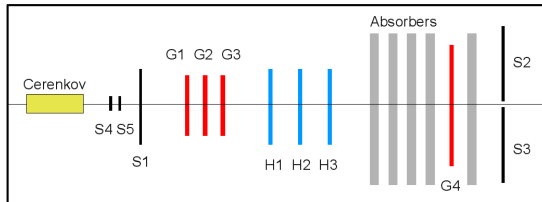


- Readout electronics

- GASSIPLEX chip: 16 channels with preamplifier and shaper
- 4 boards with 6 chip each, multiplexed output
- Digitization by 10 bit ADCs connected to a PC
- Ar/ $i\text{C}_4\text{H}_{10}$ 95/5: high gains ($20 \cdot 10^3$) at moderate voltages (≤ 450 V)

Experimental setup

- CERN/PS beam (T10 zone): e^\pm , π^\pm , p^\pm up to 10 GeV
- Chambers
 - 3 6×16 cm² chambers with GASSIPLEX readout (G_1 – G_3)
 - 1 12×32 cm² chamber with GASSIPLEX readout (G_4)



- Trigger
 - 3 8×32 cm² scintillators for chamber area scans (S_1 – S_3)
 - 2 crossed 2×4 cm² sc. for shower profile studies (S_4, S_5)
 - Cerenkov counter to tag 2 GeV electrons/positrons

Energy measurement principle

- The number of ADC counts N measured on a given channel relates to the energy deposited in the gas ϵ above the corresponding pad:

$$N = \frac{q_e GS}{W} \epsilon$$

- Summing over each hit ($t = 3$ fC), the energy deposit is:

$$\xi = \sum_i \epsilon_i = \frac{W}{q_e} \sum_i \frac{N_i}{G_i S_i}$$

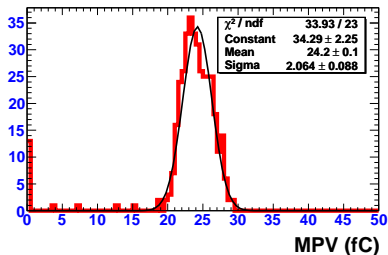
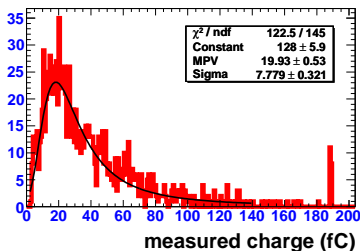
- Using values averaged over all channels:

$$\xi = \frac{W}{q_e} \frac{1}{\overline{G} \overline{S}} \sum_i \frac{\overline{G} \overline{S}}{\overline{d}} \frac{d_i}{G_i S_i} N_i = \frac{W}{q_e} \frac{1}{\overline{G} \overline{S}} \sum_i a_i N_i$$

- However, G_i and d_i are not known
→ deduce a_i from the signal distribution on each pad

Channel inter-calibration

- Measure signal distribution on each pad:
 - Move chamber across the beam, trigger from large scintillators
 - Insure that all charge is collected on one pad \rightarrow event with single hit
 - Collect between 200 and 500 events per pad



- Inter-calibration:
 - Adjust Landau function on measured distribution \rightarrow MPV m_i
 - Coefficient a_i given by m_i / \bar{m}
 - Correction applied as: N

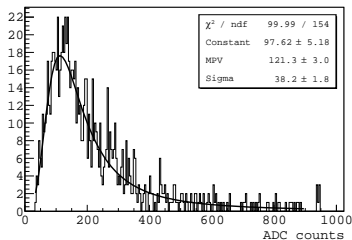
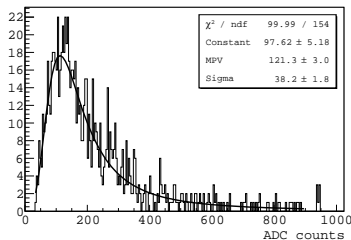
Pressure temperature corrections

- Pressure and temperature variations impact on the gas gain.
 - Writing V the mesh voltage and (A,B) two parameters:

$$G(V) = \exp\left(\frac{APg}{T} \exp\left(-\frac{BPg}{TV}\right)\right)$$

- The gain relative sensitivity to P, T variations can be predicted:

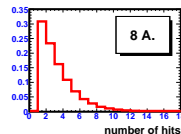
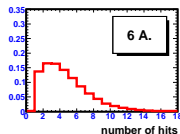
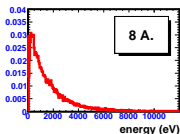
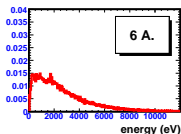
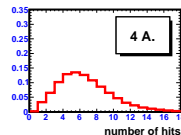
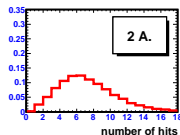
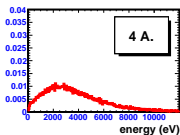
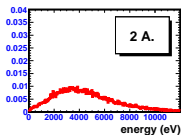
$$C_{P/T} = \left(Ag - \frac{ABPg^2}{TV}\right) \exp\left(-\frac{BPg}{TV}\right)$$



- The correction is applied as: $N \rightarrow N \cdot (1 - C_{P/T} \Delta(P/T))$

Energy and Hit distribution of electron showers

- Check that the high voltage in each chamber is OK
- Insure that a track has traversed the small chambers:
 - request at least one hit in two of the three chambers
 - request aligned hits (centered at the beam profile maximum ± 1 pad)
- Apply inter-calibration and P, T correction

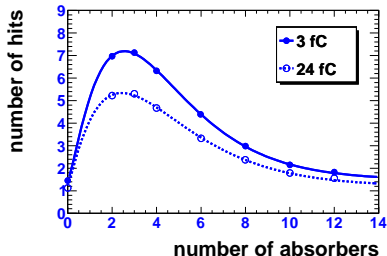
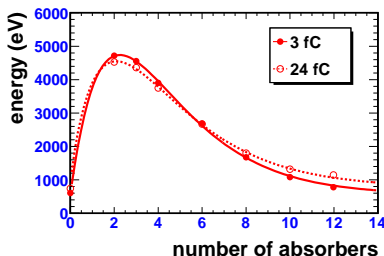


Longitudinal profile of electron showers

- Plot distribution mean versus number of absorber n
 - Adjust 3 parameters on the trend:

$$f(n) = p_0 n^{p_1} \exp(-p_2 n)$$

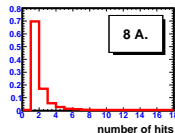
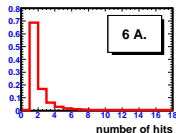
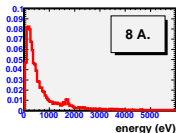
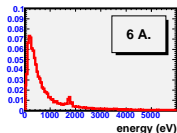
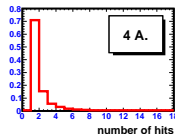
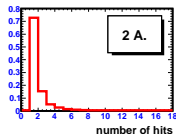
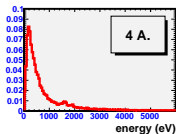
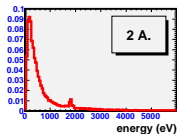
- Profile maximum at $n = p_1/p_2$



- Small effect of the threshold:
 - Maximum of f_{hit} reached at a slightly larger depth
 - Most secondaries traverse one pad at the beginning of the shower

Energy and Hit distribution of hadrons

- Check that the high voltage in each chamber is OK
- Insure that a track has traversed the small chambers:
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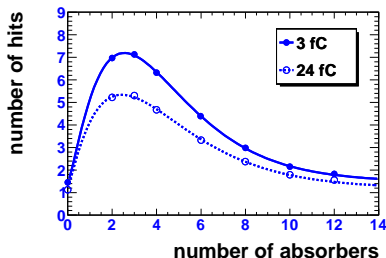
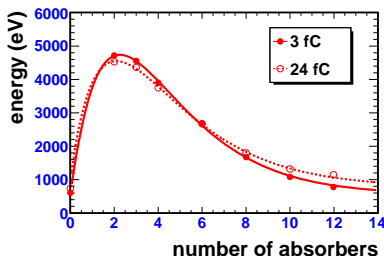


Longitudinal profile of hadron showers

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 - Adjust 3 parameters on the trend:

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- Profile maximum at $n = p_1/p_2$

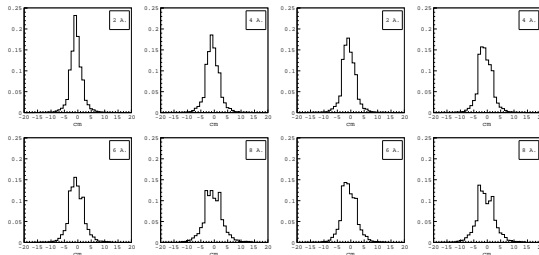


- Comparison with electron showers:
 - Flatter profile, maximum reached at similar depth
 - Small saturation effect

Energy and hit distribution of electrons

- Insure that a track has traversed the small chambers:
 - request at least one hit in two of the three chambers
 - **request aligned hits (centered at the beam profile maximum)**
- Calculate the distance between hit pad i and shower axis
 - use coordinates (x_0, y_0) of beam profile maximum in large chamber

$$r_i = \pm \sqrt{(x_0 - x_i)^2 + (y_0 - y_i)^2}$$

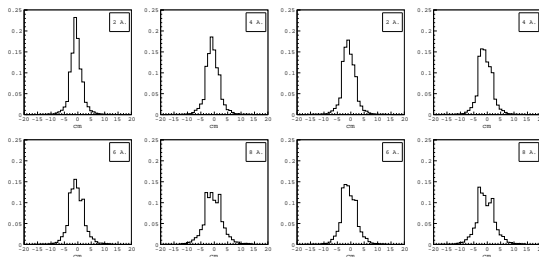


- Small effect of the threshold:
 - Energy distribution slightly more peaked with a smaller RMS

Energy and hit distribution of hadrons

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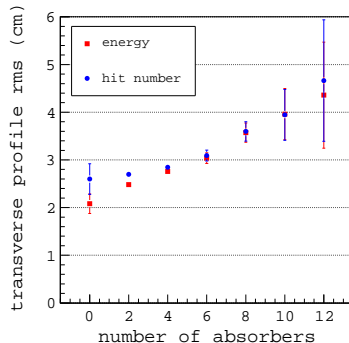
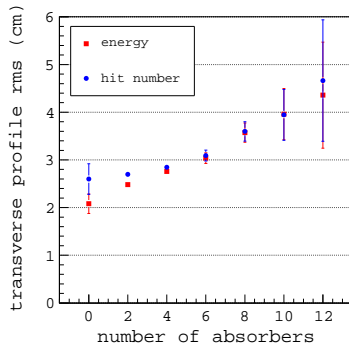
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Transverse profile of electrons and hadrons

- Difference between energy and hit profile
 - Hit distribution is flatter at the beginning of the shower
 - Can be seen as a larger RMS
 - Applies for electron and hadron showers



- Micromegas behaviour in 2 GeV electron and hadron showers
 - Stable and high gain during test period (a few HV trips over 12 days)
 - P, T variations can be corrected for, or HV adjusted accordingly
- Electron and hadron shower profile
 - Longitudinal profile of electrons shows more variations
 - Transverse profile is similar
- Energy and number of hit distributions
 - Show a similar trend with the number of absorber
 - Longitudinal distribution maximum shifts deeper at larger threshold
 - Larger transverse distribution RMS for hits at the beginning of the shower