

Higgs quartic coupling at a Muon Collider

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based on JHEP 09 (2020) 098 [arXiv:2003.13628]

in collaboration with Luca Mantani, Fabio Maltoni, Barbara Mele, Fulvio Piccinini
and Xiaoran Zhao

H self-couplings measurement: future colliders (HHHH)

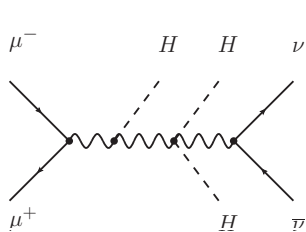
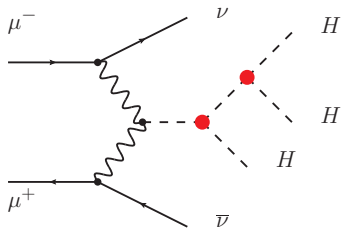
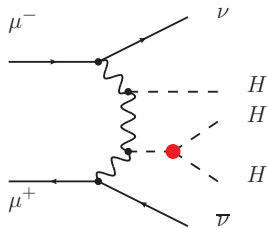
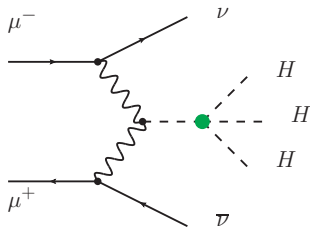
- the proposed future colliders can put strong constraints on the triple Higgs coupling δ_3 : $\pm 10\%$ $1\text{-}\sigma$ bound at CLIC and ILC, $\pm 5\%$ at FCC
- the bounds on the quartic couplings δ_4 are very loose (68% CL)
 - ILC: $\sim [-10, +10]$ ($\pm 1000\%$!)
 - CLIC: $\sim [-5, +5]$
 - FCC: $\sim [-5, +15]$, from $pp \rightarrow HHH$
 - FCC: $\sim [-2, +4]$, from $pp \rightarrow HH$

I will focus on the sensitivity of the muon collider to the quartic coupling

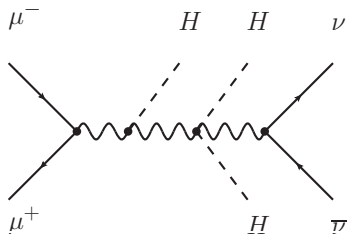
Spoiler:

under (reasonable) assumptions on the energy and the luminosity, the muon collider can do a pretty good job in constraining the quartic Higgs coupling

$$\mu^+ \mu^- \rightarrow H H H \nu \bar{\nu}$$



Details of the calculations



- H produced on shell
- $H \rightarrow b\bar{b}$ (on-shell) decays added at the LHE level
- $\Gamma_W = \Gamma_Z = \Gamma_H = 0$ to avoid issues with gauge invariance
- technical cut $M(\nu\bar{\nu}) > 150$ GeV
- σ and $d\sigma$ computed with WHIZARD at LO
- all results cross-checked with MadGraph and an independent calculation by X. Zhao

$\mu^+ \mu^- \rightarrow HHH\nu\bar{\nu}$: SM Higgs couplings (energy)

\sqrt{s} (TeV) / L (ab ⁻¹)	1.5 / 1.2	3 / 4.4	6 / 12
σ_{SM} (ab) [N_{ev}]			
σ^{tot}	0.03 [0]	0.31 [1]	1.65 [20]
$\sigma(M_{HHH} < 3\text{TeV})$	0.03 [0]	0.31 [1]	1.47 [18]
$\sigma(M_{HHH} < 1\text{TeV})$	0.02 [0]	0.12 [1]	0.26 [3]

\sqrt{s} (TeV) / L (ab ⁻¹)	10 / 20	14 / 33	30 / 100
σ_{SM} (ab) [N_{ev}]			
σ^{tot}	4.18 [84]	7.02 [232]	18.51 [1851]
$\sigma(M_{HHH} < 3\text{TeV})$	2.89 [58]	3.98 [131]	6.69 [669]
$\sigma(M_{HHH} < 1\text{TeV})$	0.37 [7]	0.45 [15]	0.64 [64]

σ increases with \sqrt{s}

$\mu^+ \mu^- \rightarrow HHH\nu\bar{\nu}$: SM Higgs couplings (luminosity)

\sqrt{s} (TeV) / L (ab^{-1})	1.5 / 1.2	3 / 4.4	6 / 12
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The lower energy setups (1.5 and 3 TeV) do not have enough events to study the quartic Higgs self coupling

$\mu^+ \mu^- \rightarrow HHH\nu\bar{\nu}$: SM Higgs couplings (luminosity)

- the luminosities assumed for $\sqrt{s} = 1.5, 3, 6, 14$ TeV are based on MAP studies

V. Shiltsev FERMILAB-FN_1083-AD-APC,

talks by D. Shulte and M. Palmer <https://indico.cern.ch/event/847002/>

- at $\sqrt{s} = 10, 30$ TeV, the luminosity is fixed by (see arXiv:1910.06150)

Luminosity:

$$L \gtrsim \frac{5 \text{ years}}{\text{time}} \left(\frac{\sqrt{s}_\mu}{10 \text{ TeV}} \right)^2 2 \cdot 10^{35} \text{ cm}^{-2} \text{ s}^{-1}$$

Set by asking for 100K SM “hard” SM pair-production events.

- for the 10 and 30 TeV setups, it might be that higher luminosity could be achieved

$$\mathcal{L} = -\frac{1}{2}M_H^2 H^2 - (1 + \delta_3) \frac{M_H^2}{2v} H^3 - (1 + \delta_4) \frac{M_H^2}{8v^2} H^4$$

We consider 3 different scenarios:

- 1 $\delta_3 = 0$, δ_4 arbitrary
- 2 δ_3 arbitrary, $\delta_4 = 6\delta_3$ (well behaved SMEFT)
- 3 δ_3 arbitrary and δ_4 arbitrary

S. Borowka et al. arXiv:1811.12366

Sensitivity to δ_3 and δ_4

No background process considered:

we quantify the sensitivity in terms of standard deviations from the SM expectation

$$\frac{|N - N_{\text{SM}}|}{\sqrt{N_{\text{SM}}}}$$

Remarks

- no background is considered, but the environment should be rather clean
- no branching ratio is applied, but if the environment is clean enough all the main decay channels should be visible
- (almost) no optimization based on kinematics is performed, so there is room for improvement

Sensitivity to δ_3 and δ_4 (small δ_3)

- no cuts
- $M_{HHH} < 1$ TeV

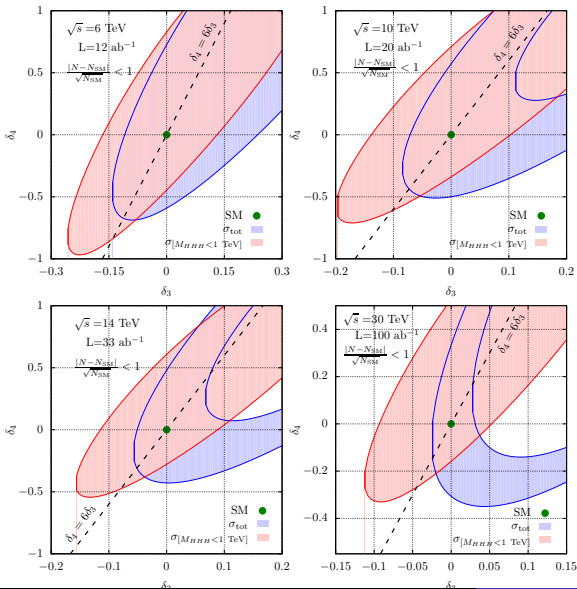
$$\delta_3 = 0$$

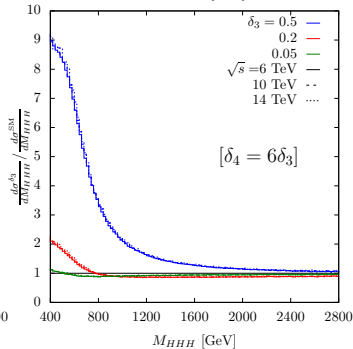
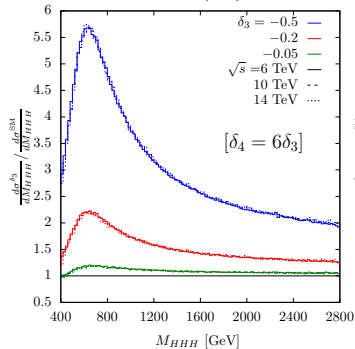
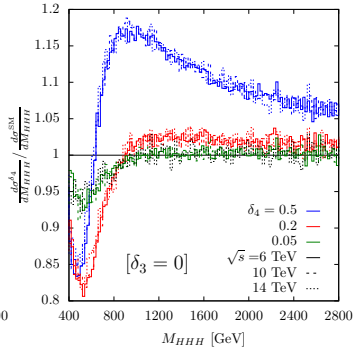
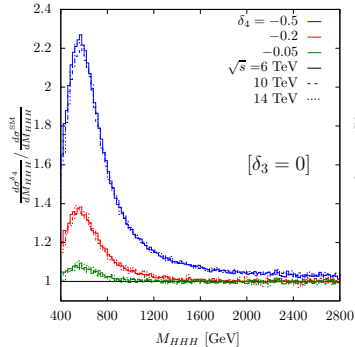
$$6 \text{ TeV } \delta_4 \sim [-0.45, 0.8]$$

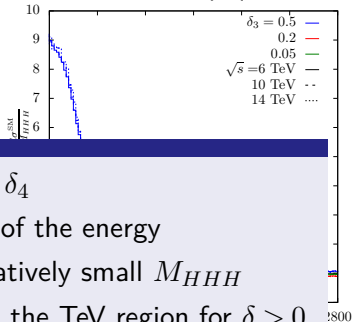
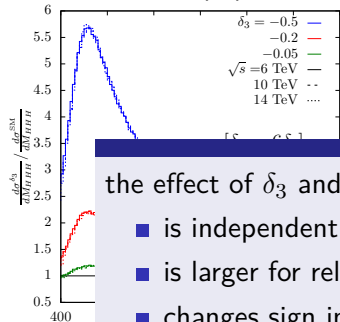
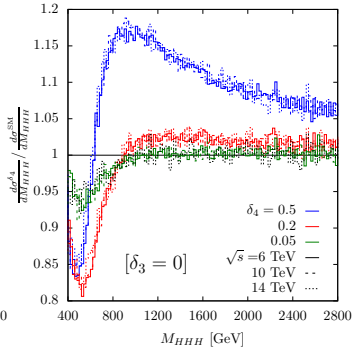
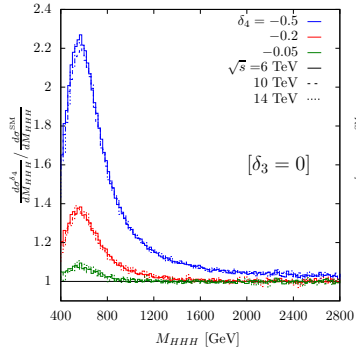
$$10 \text{ TeV } \delta_4 \sim [-0.4, 0.7]$$

$$14 \text{ TeV } \delta_4 \sim [-0.35, 0.6]$$

$$30 \text{ TeV } \delta_4 \sim [-0.2, 0.5]$$



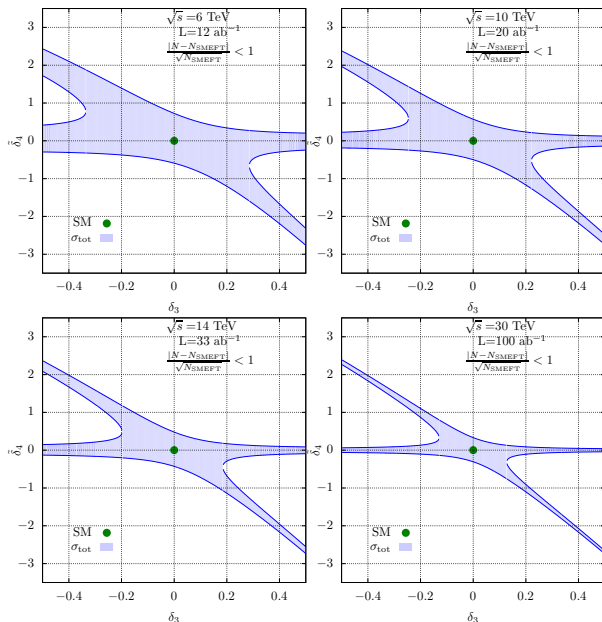




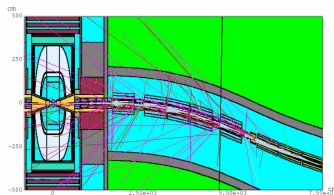
the effect of δ_3 and δ_4

- is independent of the energy
- is larger for relatively small M_{HHH}
- changes sign in the TeV region for $\delta > 0$

Sensitivity to $\tilde{\delta}_4$ (deviation from SMEFT)

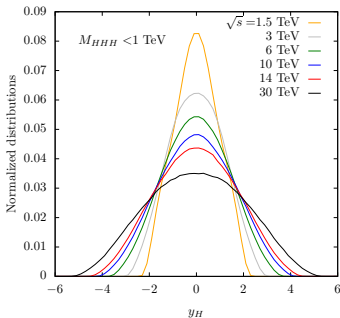
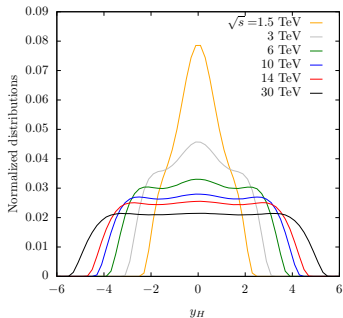


Remark on detector acceptance (1)

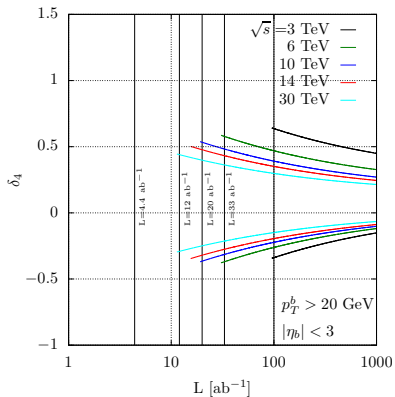
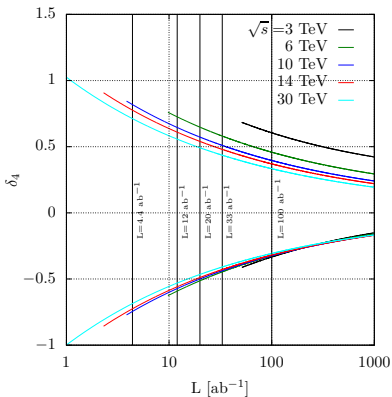


The detector must be shielded from the beam radiation

- 5-10 degrees blind spot in the forward region for $\sqrt{s} = 3$ TeV
- angle could be reduced at higher energies



Remark on detector acceptance (2)



- only geometric acceptance considered (no BR applied)
- sensitivity increases because the SM production is forward, the BSM central

Conclusions

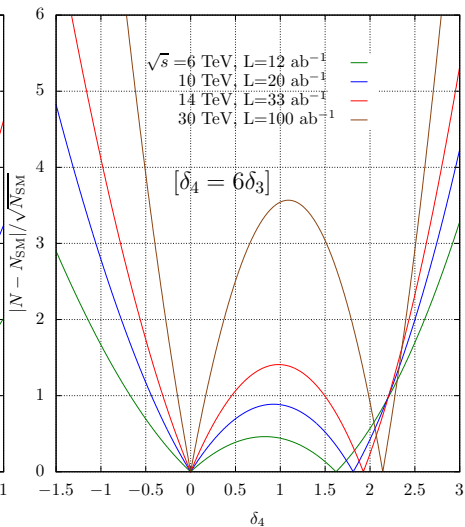
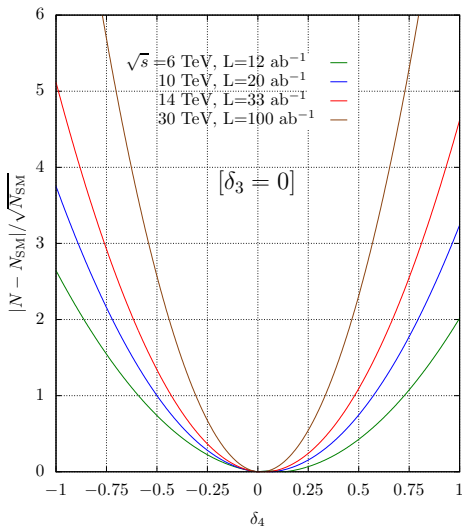
- we studied the sensitivity of the muon collider to the Higgs quartic coupling by considering the process $\mu^+\mu^- \rightarrow HHH\nu\bar{\nu}$
- no background was considered
- (almost) no optimization based on kinematics was performed
- the sensitivity increases with \sqrt{s} and/or the luminosity

\sqrt{s} [TeV]	L [ab^{-1}]	δ_4 (arbitrary δ_3)	δ_4 ($\delta_3 = 0$)
6	12	[-1,1.7]	[-0.45,0.8]
10	20	[-0.7,1.55]	[-0.4,0.7]
14	33	[-0.55,1.4]	[-0.35,0.6]
30	100	[-0.35,1.2]	[-0.2,0.5]

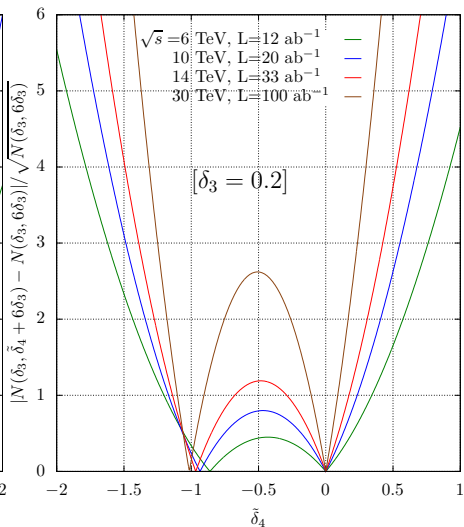
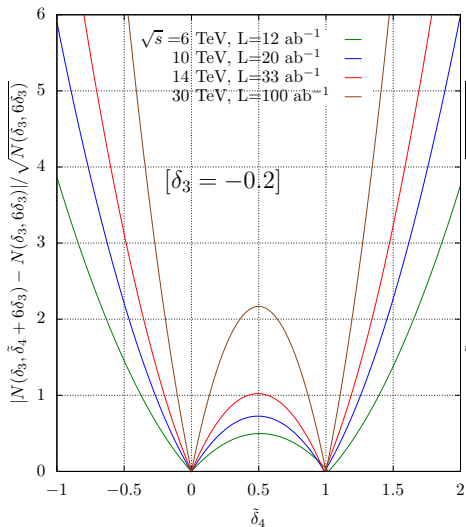
- under (reasonable) assumptions on the energy and the luminosity, the muon collider can do a pretty good job in constraining the quartic Higgs coupling

Backup slides

Sensitivity to δ_3 and δ_4



Sensitivity to $\tilde{\delta}_4$ (deviation from SMEFT)



Sensitivity to δ_3 and δ_4 ($\sqrt{s} = 3$ TeV, $L = 100$ ab $^{-1}$)

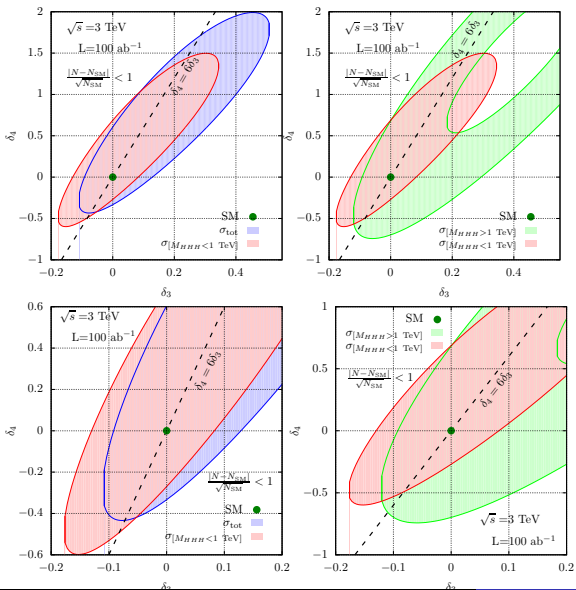
- no cuts
- $M_{HHH} < 1$ TeV
- $M_{HHH} > 1$ TeV

$$\delta_4 \sim [-0.6, 1.5]$$

if $\delta_3 = 0$

$$\delta_4 \sim [-0.3, 0.65]$$

Using 20 times the expected luminosity!



Sensitivity to δ_3 and δ_4 (arbitrary δ_3)

- no cuts
- $M_{HHH} < 1$ TeV

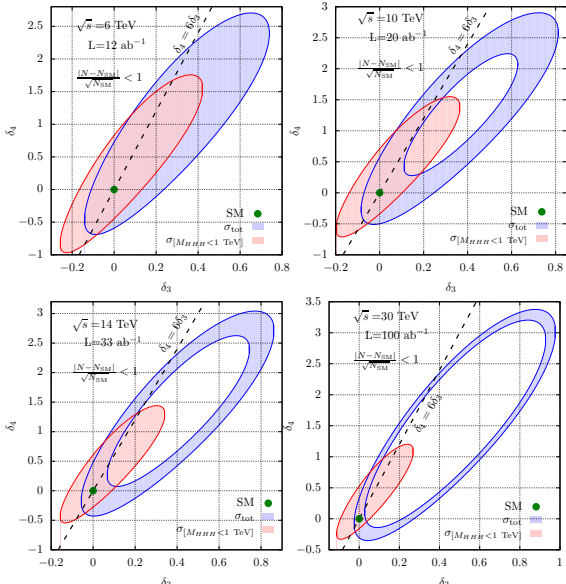
$$\delta_3 = 0$$

$$6 \text{ TeV } \delta_4 \sim [-0.1, 1.7]$$

$$10 \text{ TeV } \delta_4 \sim [-0.7, 1.55]$$

$$14 \text{ TeV } \delta_4 \sim [-0.55, 1.4]$$

$$30 \text{ TeV } \delta_4 \sim [-0.35, 1.2]$$

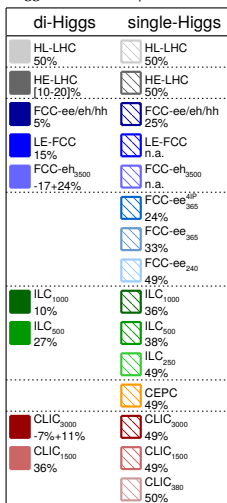
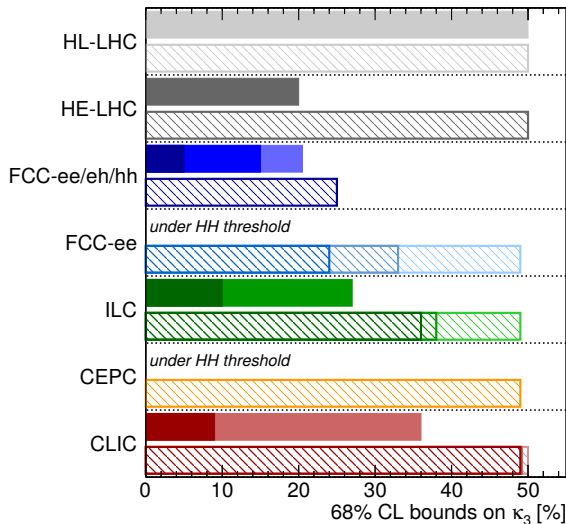


Sensitivity to δ_3 and δ_4 : comments

- stronger constraints on negative δ_s
- constraints on positive δ_s improve with the cut $M_{HHH} < 1$ TeV (provided that the cross section after the cut is large enough)
- the bounds improve at large \sqrt{s} because the cross section increases
- the most interesting region is $\delta_3 \sim 0$, as bounds on δ_3 can be obtained from other processes (i.e. $\mu^+ \mu^- \rightarrow HH\nu\bar{\nu}$). It is reasonable to assume that such bounds will be competitive or stronger than the ones from linear colliders
- if $\delta_3 \neq 0$, one can constrain possible deviations from the SMEFT expectation for δ_4 : $\tilde{\delta}_4 = \delta_4 - 6\delta_3$

H self-couplings measurement: future colliders (HHH)

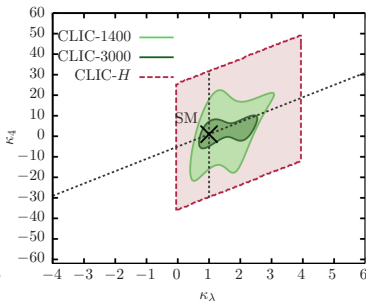
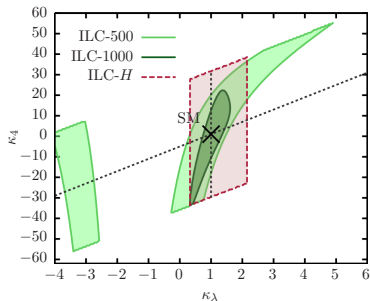
Higgs@FC WG September 2019



All future colliders combined with HL-LHC

arXiv:1910.00012

H self-couplings measurement: future colliders (HHHH)



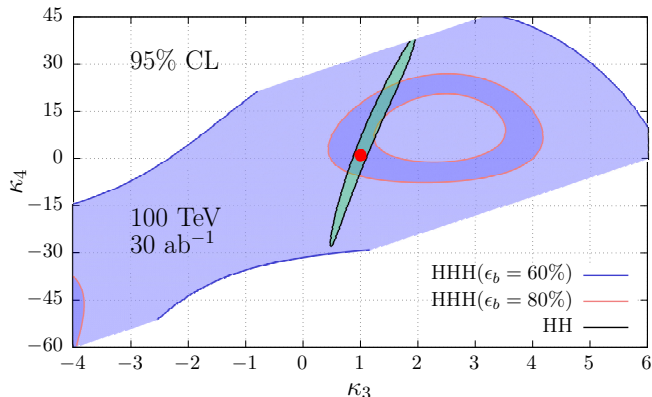
Process	λ_3	λ_4
$ZH, \nu_e \bar{\nu}_e H$	one-loop	two-loop
$ZHH, \nu_e \bar{\nu}_e HH$	tree	one-loop
$ZHHH, \nu_e \bar{\nu}_e HHH$	tree	tree

assuming $\lambda_3 = \lambda_3^{\text{SM}}$

quartic coupling constrained
in $\pm \sim 10$ at ILC and $\pm \sim 5$ at CLIC

arXiv:1910.00012, F. Maltoni et al. arXiv:1802.07616, T. Liu et al. arXiv:1803.04359

H self-couplings measurement: future colliders (HHHH)



arXiv:1910.00012

F. Maltoni et al. arXiv:1811.12366

W. Bizoń et al. arXiv:1810.04665

assuming $\lambda_3 = \lambda_3^{\text{SM}}$

λ_4 constrained in $\sim [-5, 15]$ at 68% CL from $pp \rightarrow HHH$

λ_4 constrained in $\sim [-2, 4]$ at 68% CL from $pp \rightarrow HH$

