

Constraining new physics from Higgs measurements with *Lilith-2*

Sabine Kraml

in collaboration with

Tran Quang Loc, Dao Thi Nhung, and Le Duc Ninh

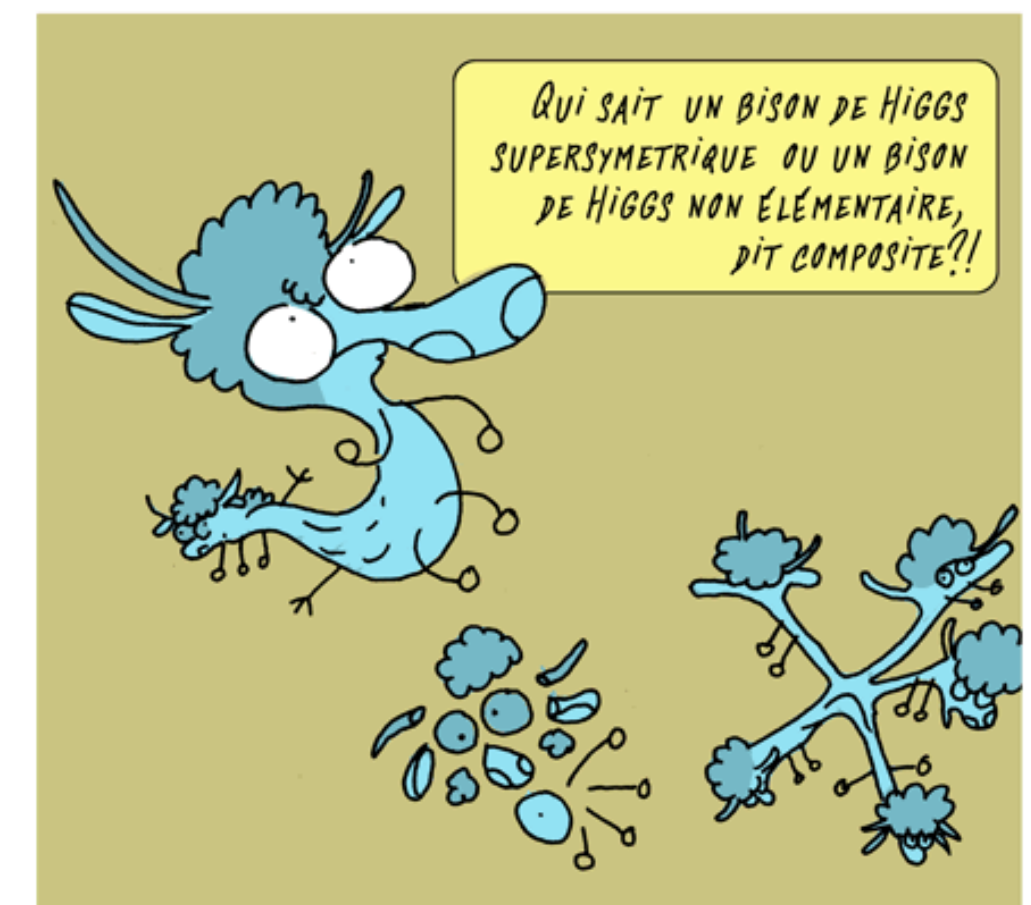
[arXiv:1908.03952](https://arxiv.org/abs/1908.03952) — [SciPost Phys. 7, 052 \(2019\)](https://scipost.org/SciPostPhys-7-052-2019/) — [GitHub](#)



Motivation

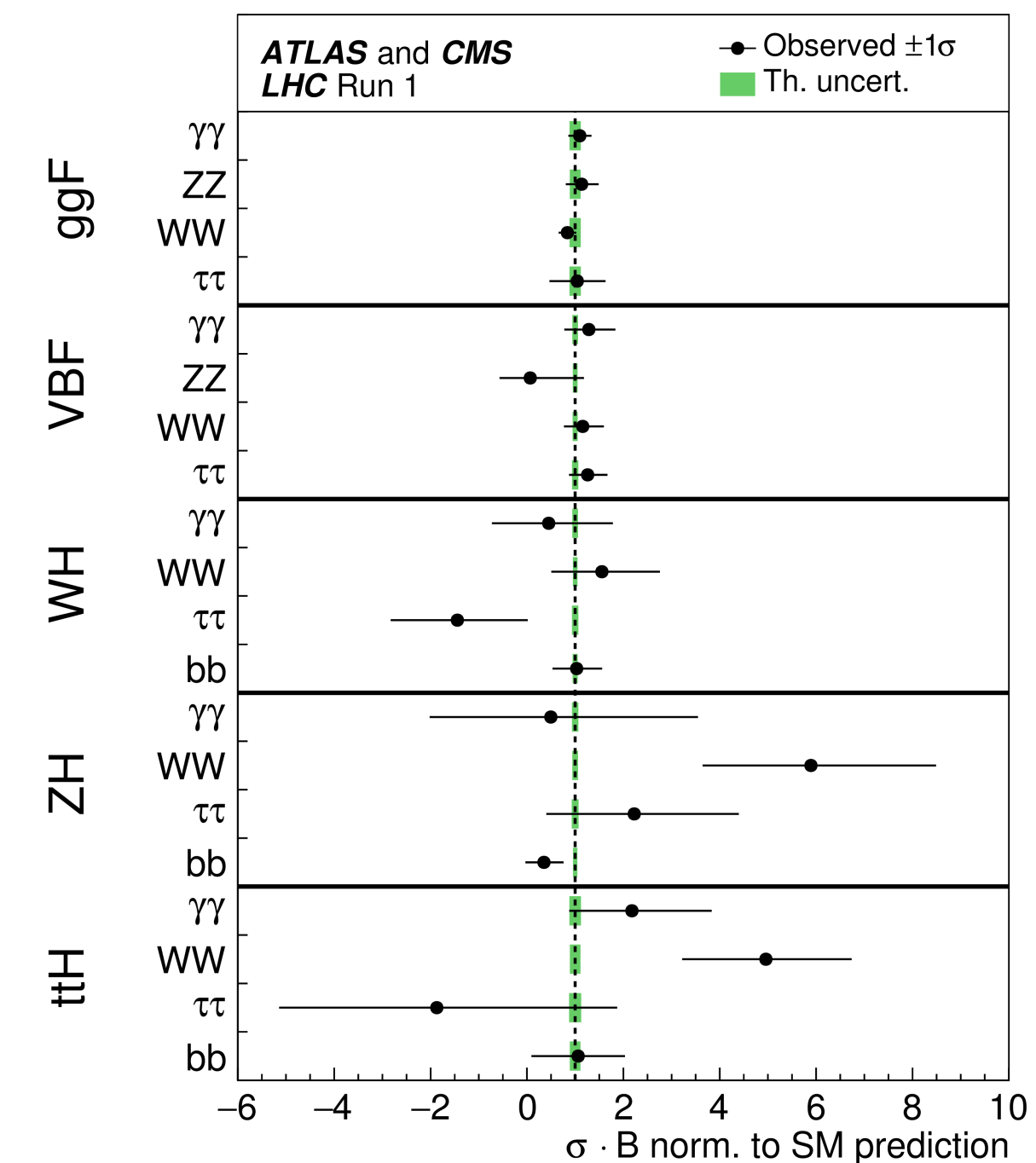
- The LHC runs at 8 and 13 TeV have led to a **wealth of experimental results** on the 125 GeV Higgs boson.
- **Increasingly precise picture** of the various **Higgs production & decay processes**, and consequently of the **Higgs couplings** to the SM gauge bosons and (3rd generation) fermions.
- BSM theories typically predict deviations from the SM expectations (mixing effects in enlarged Higgs sectors, loop contributions from new particles, higher-order EFT effects, new decay modes,).
- The Higgs data therefore provide **strong constraints** and have become a major guideline **for BSM theories**.

© Lison Bernet



Lilith : Light Likelihood fit for the Higgs

- Lilith is a **light and easy-to-use Python tool** for constraining new physics from signal strength measurements of the 125 GeV Higgs boson.
- The **Higgs likelihood** is evaluated from the user input, given in XML format **in terms of reduced couplings or signal strengths**.
- Based on experimental results from ATLAS and CMS stored in an **easily extensible XML database**.



<https://github.com/sabinekrامل/Lilith-2>

Lilith : Light Likelihood fit for the Higgs

- Lilith is a **light and easy-to-use Python tool** for constraining new physics from signal strength measurements of the 125 GeV Higgs boson.
- The **Higgs likelihood** is evaluated from the user input, given in XML format **in terms of reduced couplings or signal strengths**.
- Based on experimental results from ATLAS and CMS stored in an **easily extensible XML database**.

Features of Lilith-2 :

- Use of variable Gaussian and generalized Poisson likelihoods for a **better treatment of asymmetric uncertainties**.
- Use of **N-dim correlation matrices** for ordinary and variable Gaussian likelihoods.
- Database 19.09 contains the published ATLAS and CMS Run 2 results for 36/fb as of Sep 2019.
- Update for full Run-2 luminosity results in progress.

<https://github.com/sabinekraml/Lilith-2>

Signal strength framework

decay mode: $Y \in (\gamma\gamma, ZZ^*, WW^*, bb, \tau\tau, \dots)$

$$\mu(X, Y) \equiv \frac{\sigma(X) \text{BR}(H \rightarrow Y)}{\sigma^{\text{SM}}(X) \text{BR}^{\text{SM}}(H \rightarrow Y)}$$

production mode: $X \in (\text{ggH}, \text{VBF}, \text{ZH}, \text{WH}, \text{ttH}, \dots)$

nb, here the fundamental production modes are unfolded from the experimental categories

The likelihood in terms of $\mu(X, Y)$ allows for reinterpretation of the results in **models where the signal acceptances** for the (X, Y) are to good approximation the **same as in the SM**:

- SM tensor structure
- no new production modes

Signal strength framework

... in this case, new physics results only in the scaling of SM Higgs processes

$$\mu(X, Y) \equiv \frac{\sigma(X) \text{BR}(H \rightarrow Y)}{\sigma^{\text{SM}}(X) \text{BR}^{\text{SM}}(H \rightarrow Y)} = \frac{\mathbf{C}_X^2 \mathbf{C}_Y^2}{\sum_Y \mathbf{C}_Y^2 \text{BR}^{\text{SM}}(H \rightarrow Y)}$$

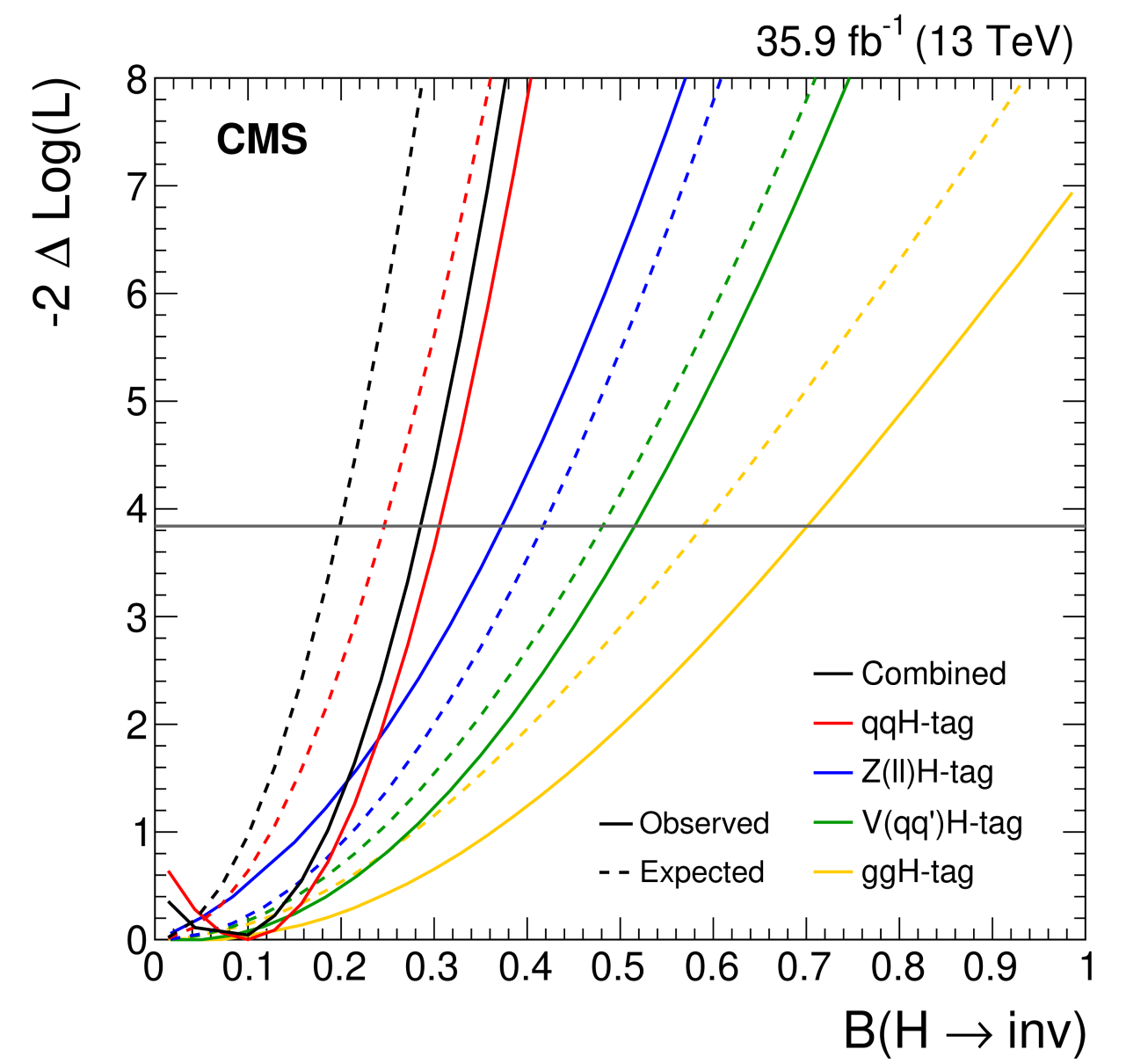
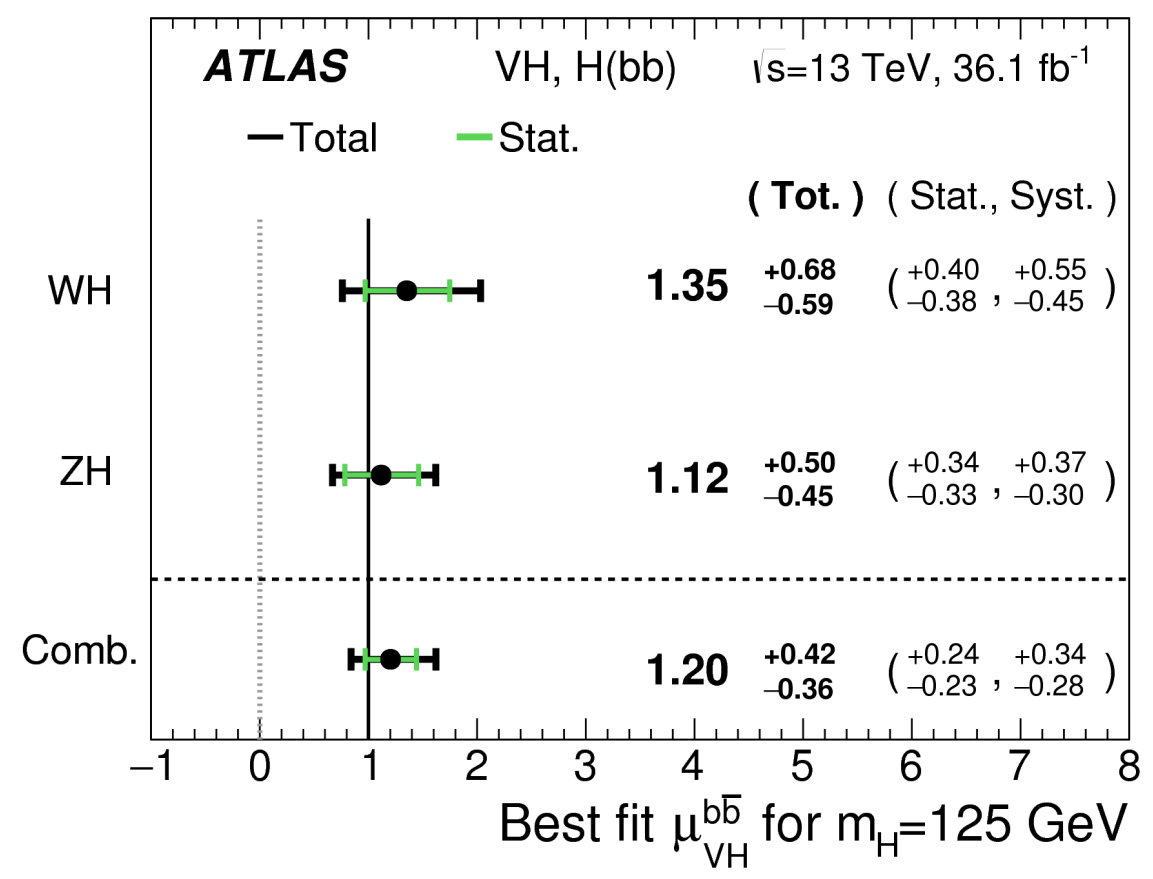
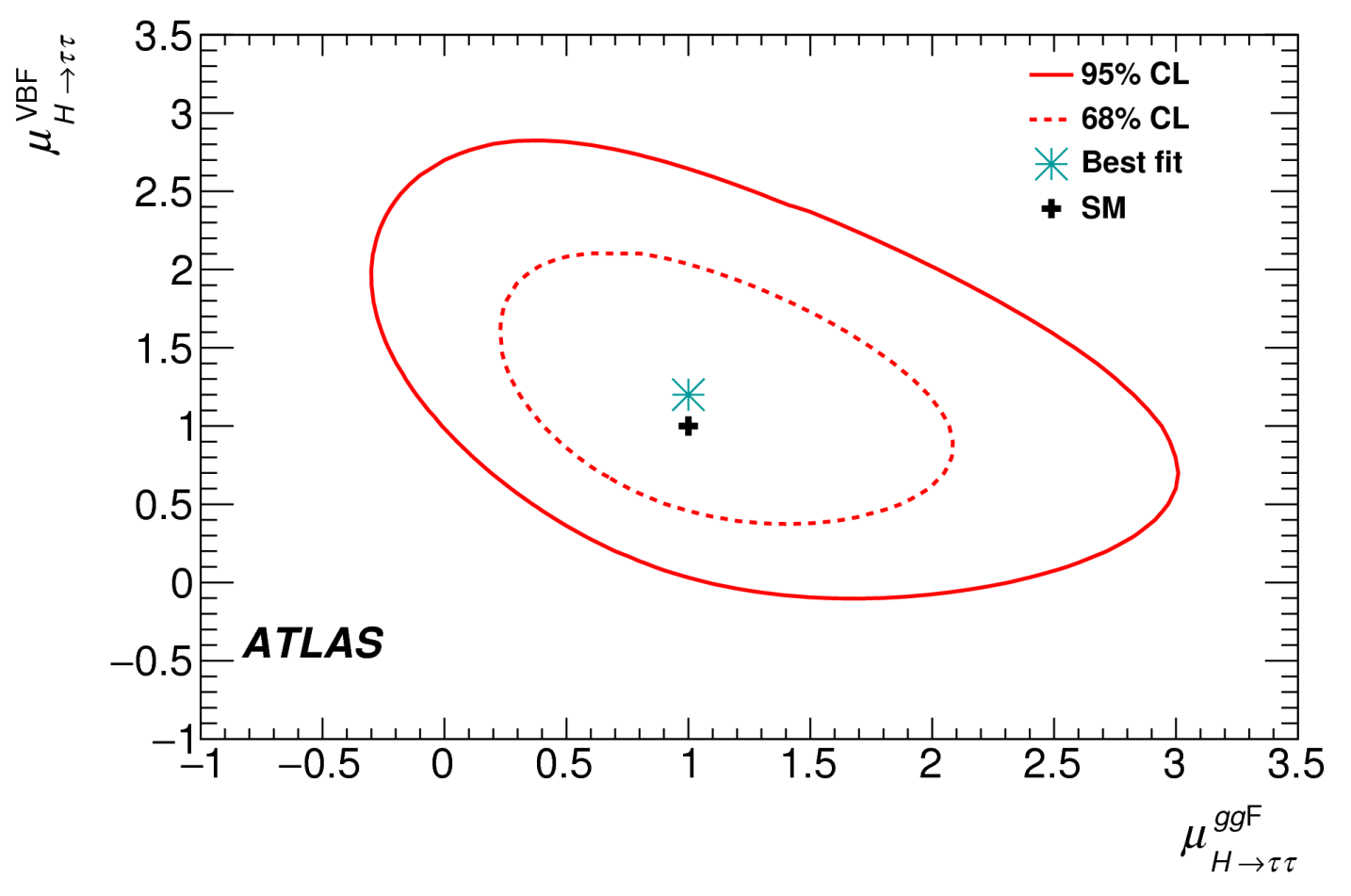
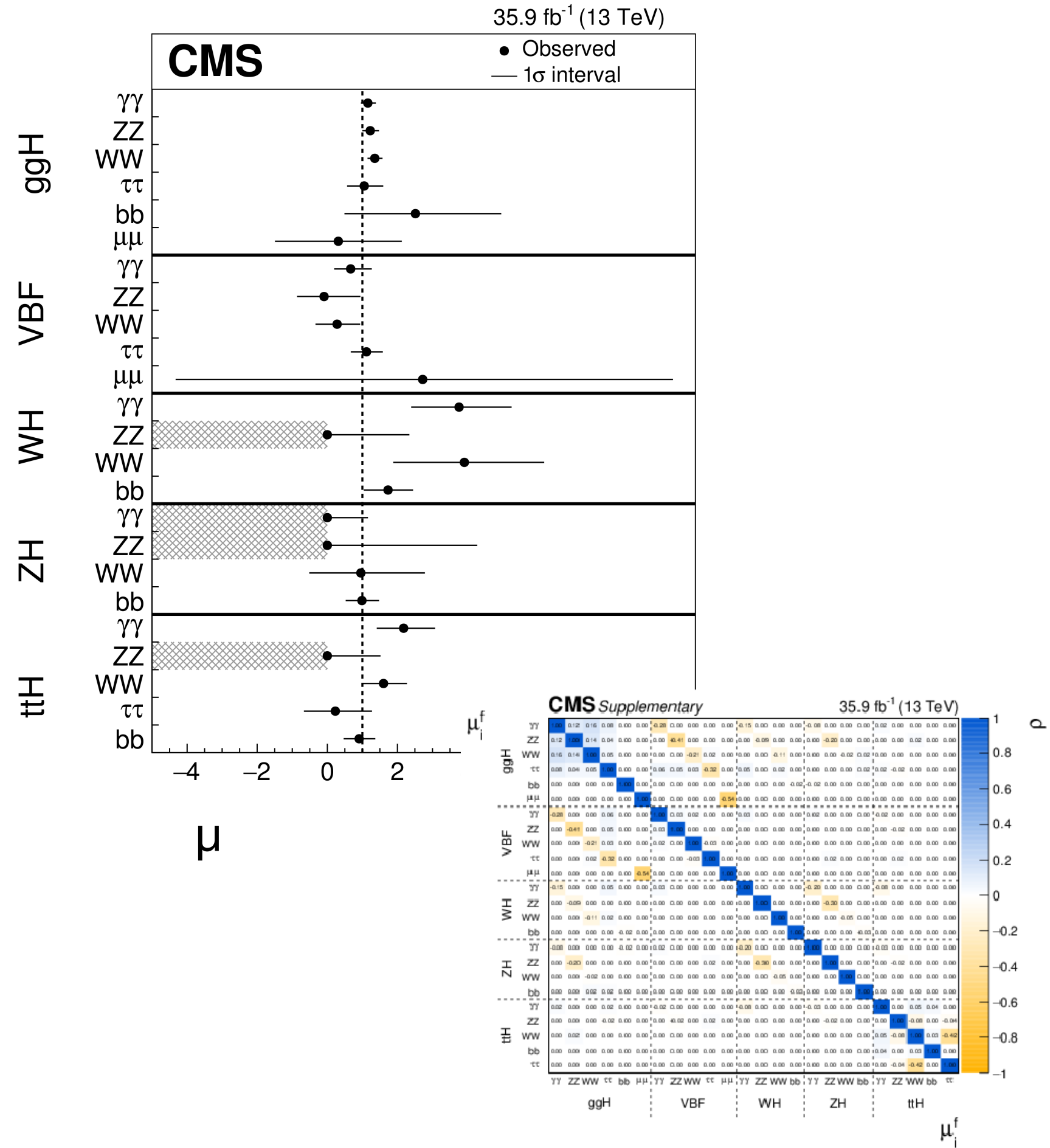
The factors \mathbf{C}_X and \mathbf{C}_Y can be identified to (or derived from) “**reduced couplings**” appearing in an effective Lagrangian:

$$\mathcal{L} = g \left[C_W m_W W^\mu W_\mu + C_Z \frac{m_Z}{\cos \theta_W} Z^\mu Z_\mu - \sum_f C_f \frac{m_f}{2m_W} f \bar{f} \right] H$$

In addition, we define the loop-induced couplings C_g and C_γ of the Higgs to gluons and photons.

Belanger, Dumont, Ellwanger, Gunion, SK, arXiv:1212.5244;
equivalent to κ framework of HXSWG, arXiv:1307.1347.

Types of results used in Lilith (examples)



Unfortunately often not available on HEPData; need to digitize “by hand”

Likelihood calculation

following R. Barlow, physics/0406120
see arXiv:1908.03952 for details

- Variable Gaussian

$$1\text{-dim: } \log L(\mu) = \frac{(\mu - \hat{\mu})^2}{\sigma^+ \sigma^- + (\sigma^+ - \sigma^-)(\mu - \hat{\mu})}$$

$$n\text{-dim: } \log L(\mu) = (\mu - \hat{\mu})^T V^{-1} (\mu - \hat{\mu})$$

↑
covariance matrix

- Generalized Poisson

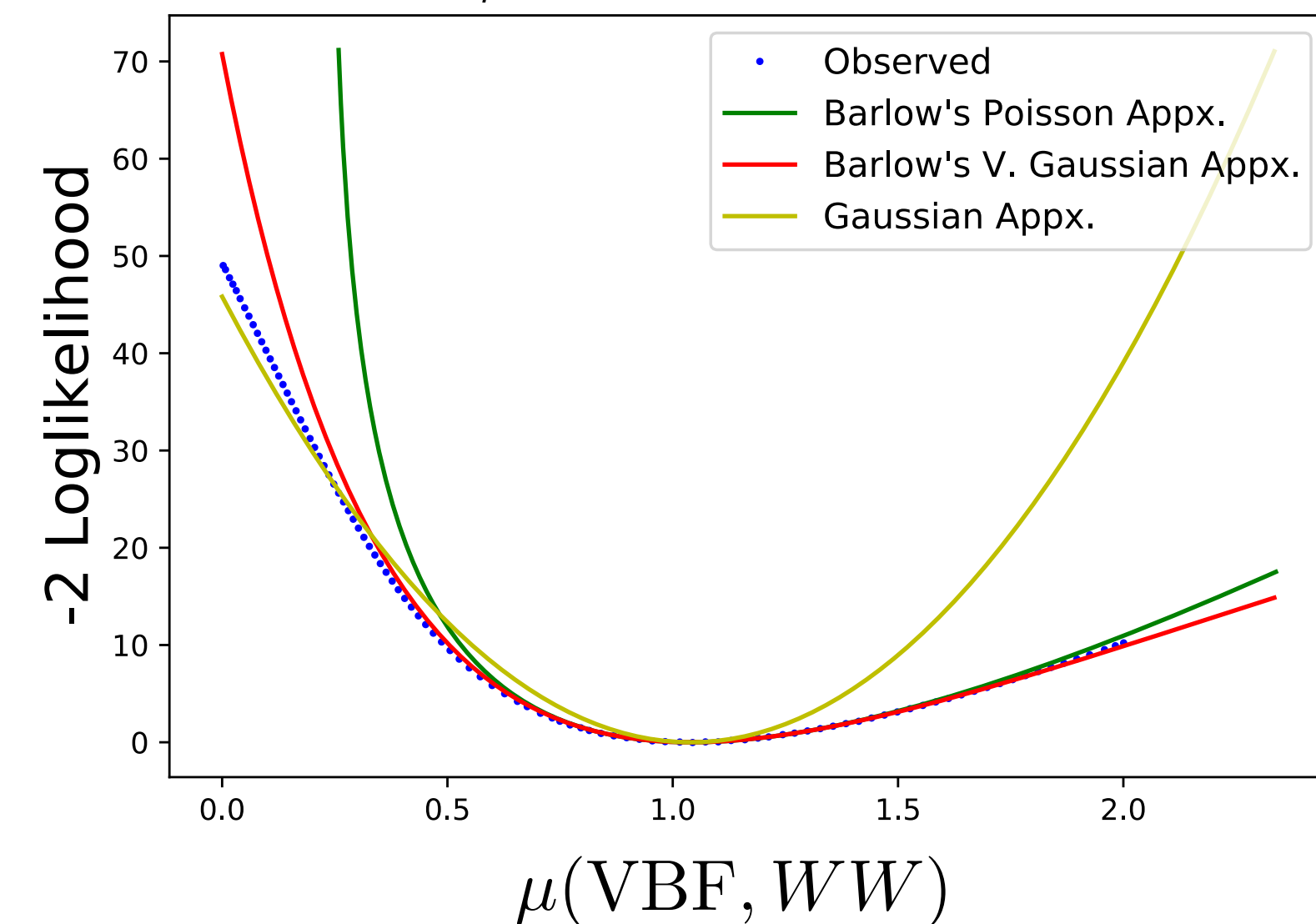
$$1\text{-dim: } \log L(\mu) = -\nu \gamma (\mu - \hat{\mu}) + \nu \log[1 + \gamma (\mu - \hat{\mu})]$$

$$\frac{1 - \gamma \sigma^-}{1 + \gamma \sigma^+} = e^{-\gamma(\sigma^+ + \sigma^-)}, \quad \nu = \frac{1}{2(\gamma \sigma^+ - \log(1 + \gamma \sigma^+))}$$

+ 2-dim implementation

$$\mu(\text{VBF}, WW) = 1.04^{+0.24}_{-0.20}$$

μ from ATLAS-CONF-2020-045



- Interpolated data grid


Likelihood calculation

following R. Barlow, physics/0406120
see arXiv:1908.03952 for details

- Variable Gaussian

$$1\text{-dim: } \log L(\mu) = \frac{(\mu - \hat{\mu})^2}{\sigma^+ \sigma^- + (\sigma^+ - \sigma^-)(\mu - \hat{\mu})}$$

$$n\text{-dim: } \log L(\mu) = (\mu - \hat{\mu})^T V^{-1} (\mu - \hat{\mu})$$



covariance matrix

- Generalized Poisson

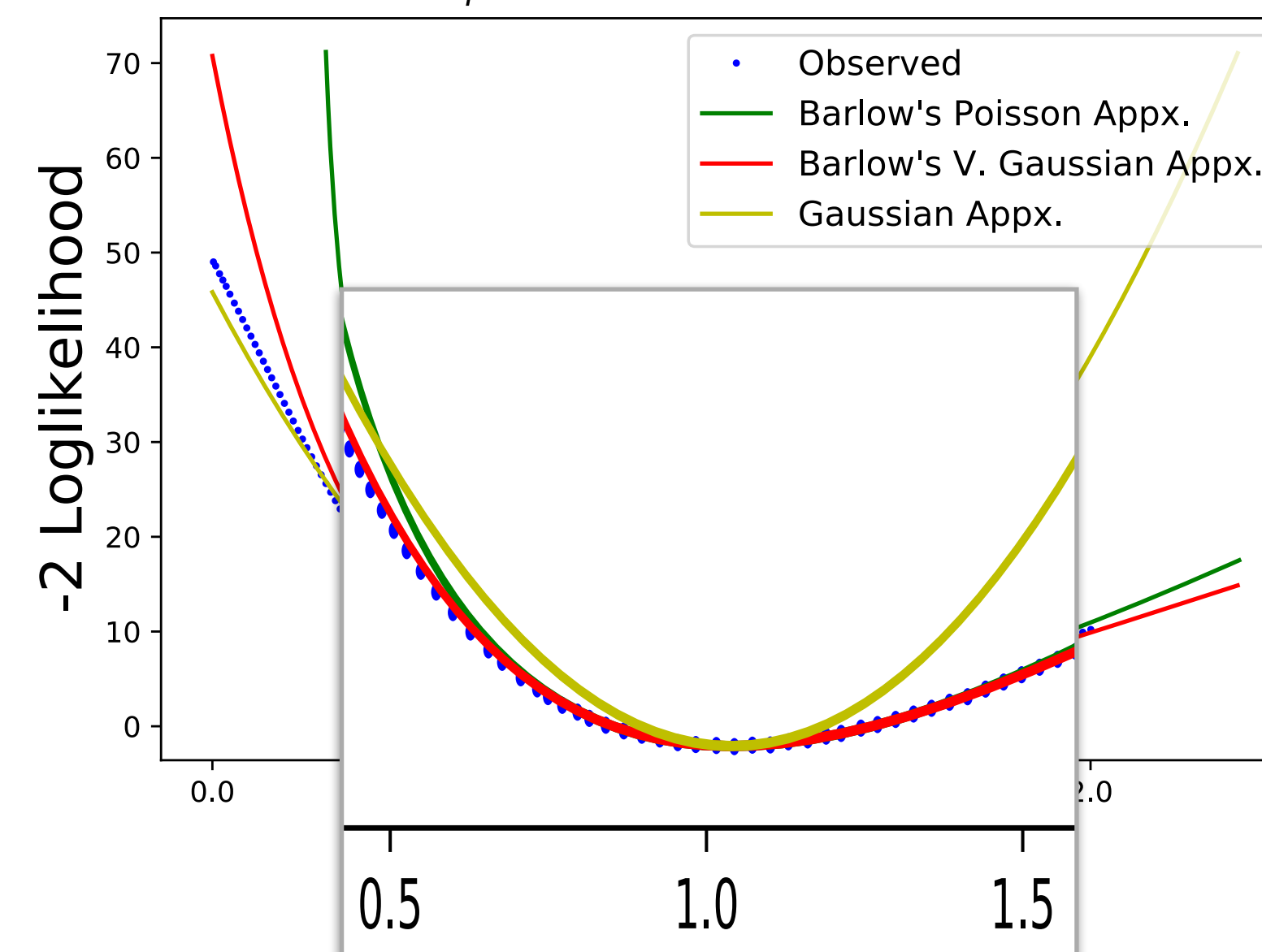
$$1\text{-dim: } \log L(\mu) = -\nu \gamma (\mu - \hat{\mu}) + \nu \log[1 + \gamma (\mu - \hat{\mu})]$$

$$\frac{1 - \gamma \sigma^-}{1 + \gamma \sigma^+} = e^{-\gamma(\sigma^+ + \sigma^-)}, \quad \nu = \frac{1}{2(\gamma \sigma^+ - \log(1 + \gamma \sigma^+))}$$

+ 2-dim implementation

$$\mu(\text{VBF}, WW) = 1.04^{+0.24}_{-0.20}$$

μ from ATLAS-CONF-2020-045



- Interpolated data grid

ATLAS Run-2 36/fb results in DB 19.09

	$\gamma\gamma$	ZZ	WW	$\tau\tau$	bb	$\mu\mu$	inv.
ggH	HIGG-2016-21	HIGG-2016-22	2016-07	2017-07	—	HIGG-2016-10	—
VBF			2016-30	2018-54			
WH			2017-14	—	2016-29	—	
ZH			—	—	2016-28		
ttH			HIGG-2017-02	—	—		

Paper ID's: ATLAS-HIGG-yyyy-nn

CMS Run-2 36/fb results in DB 19.09

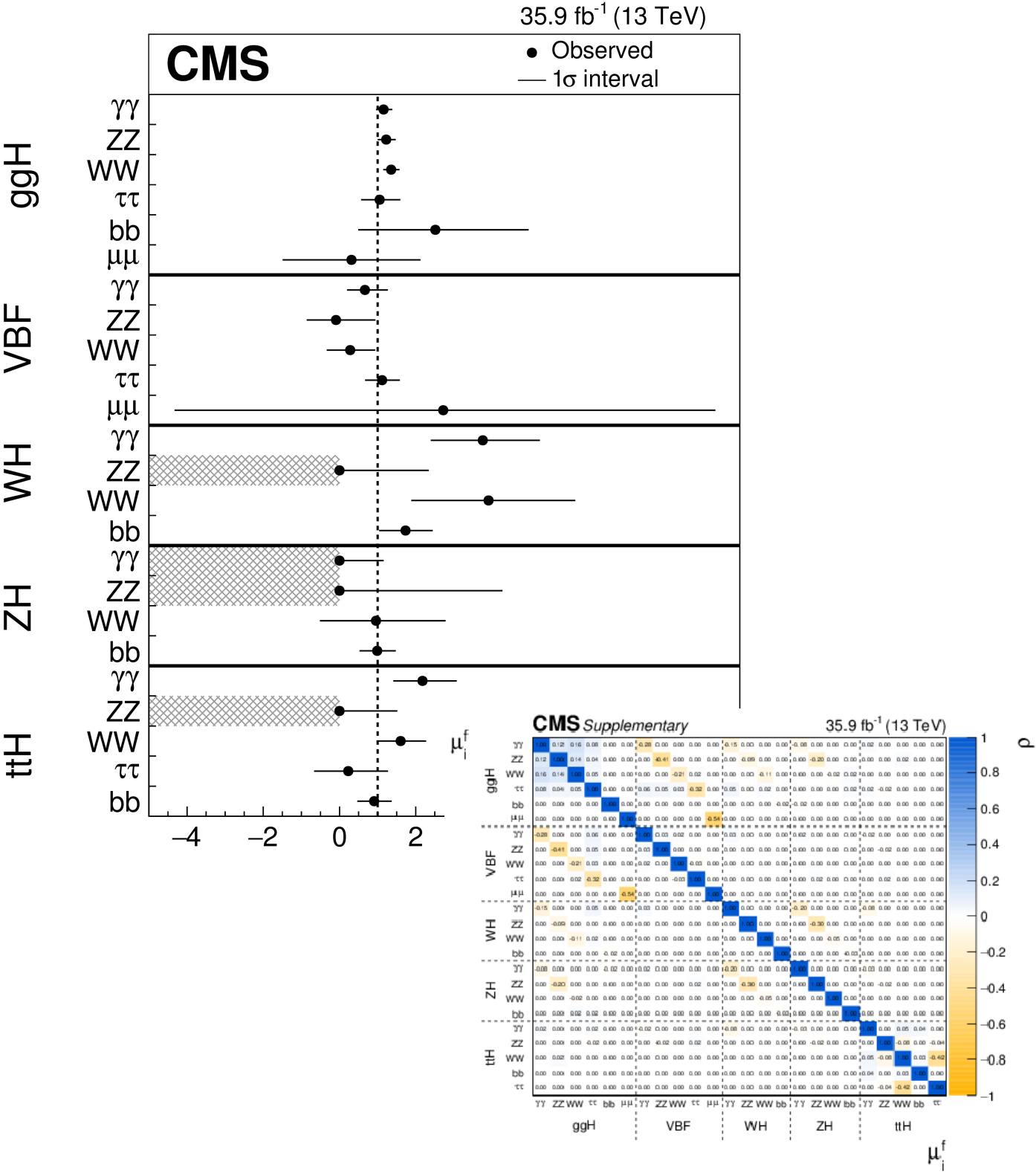
	$\gamma\gamma$	ZZ	WW	$\tau\tau$	bb	$\mu\mu$	inv.
ggH							HIG-17-023
VBF							
WH							
ZH				18-007			
ttH							

HIG-17-031

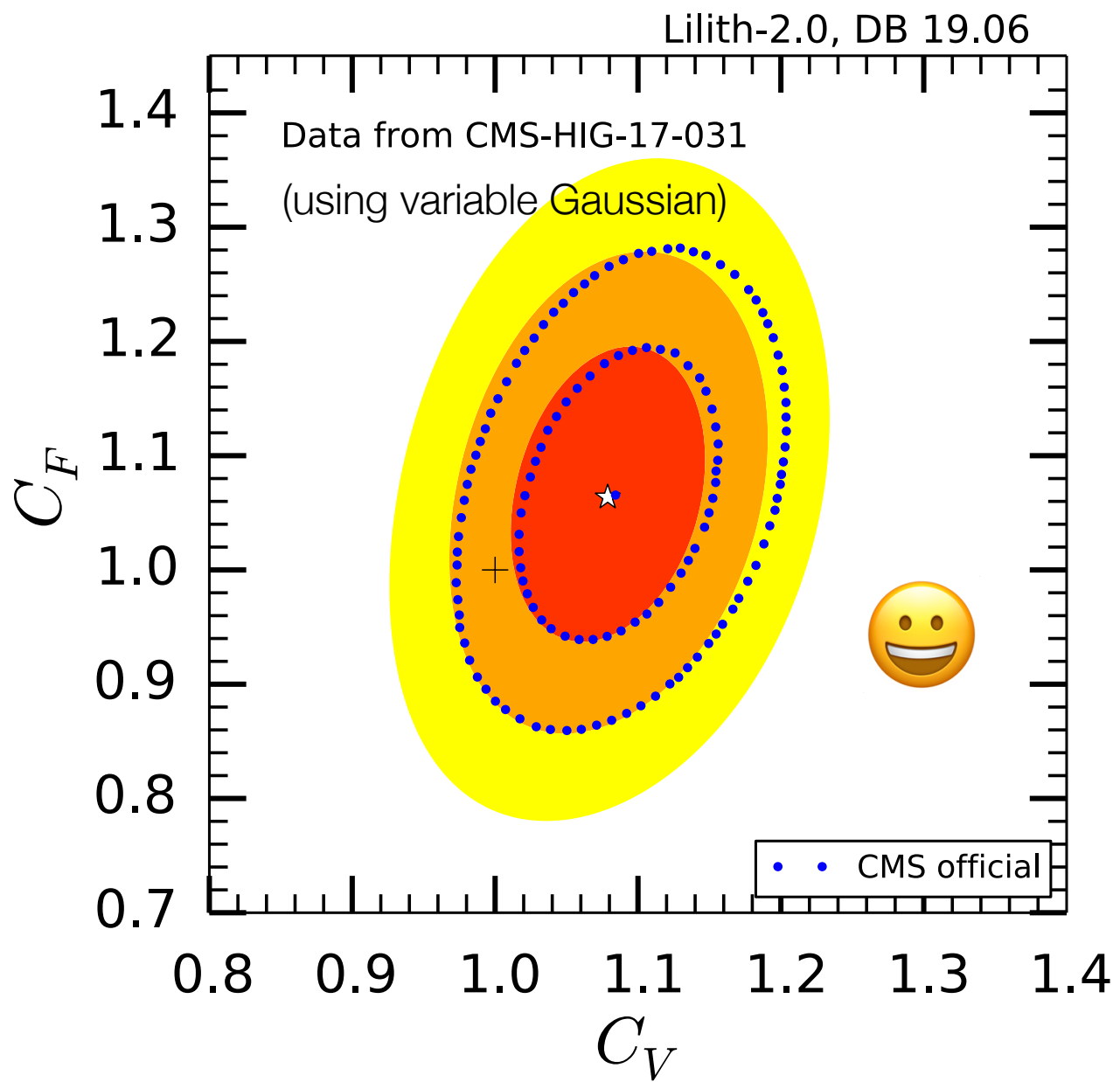
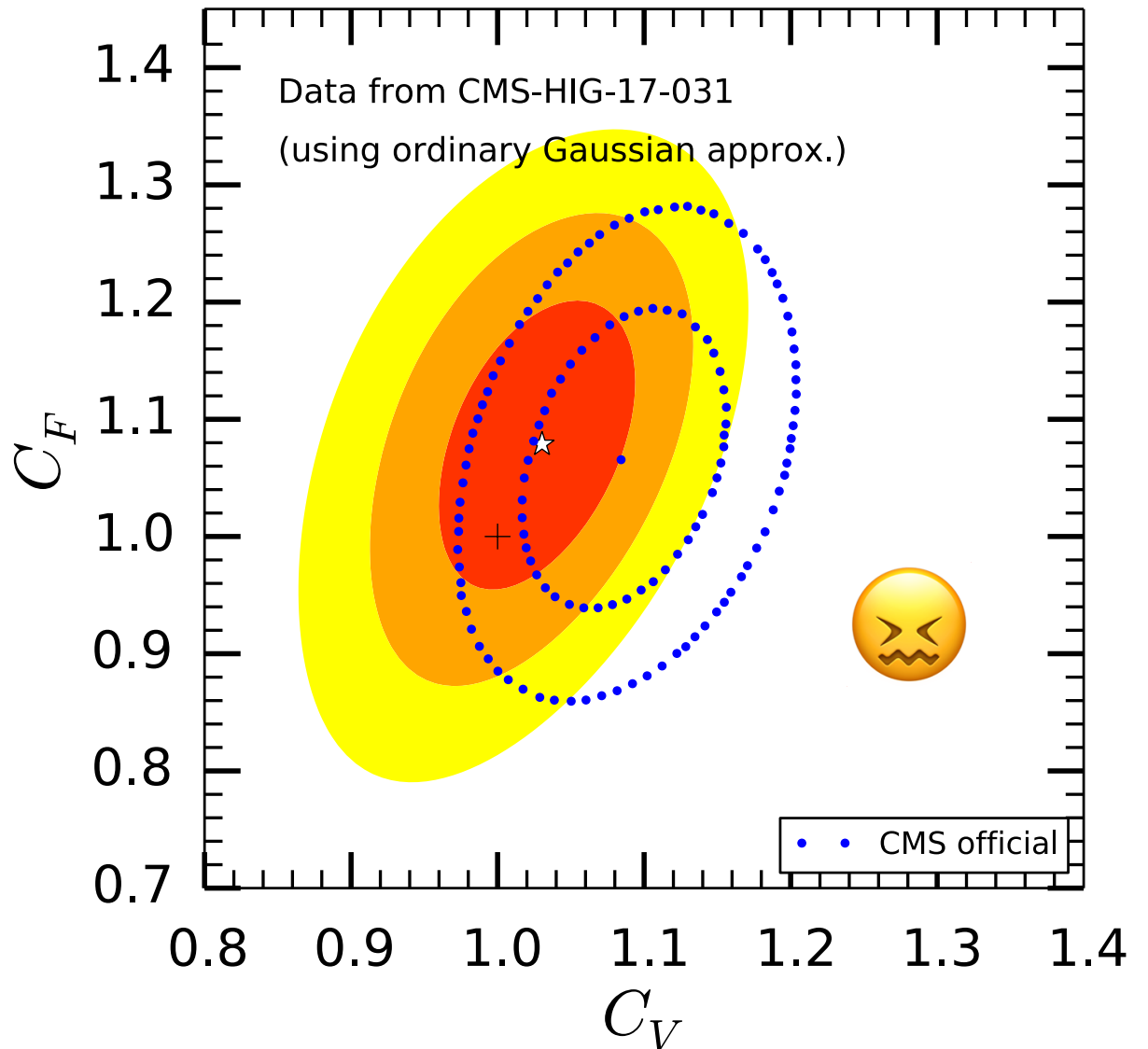
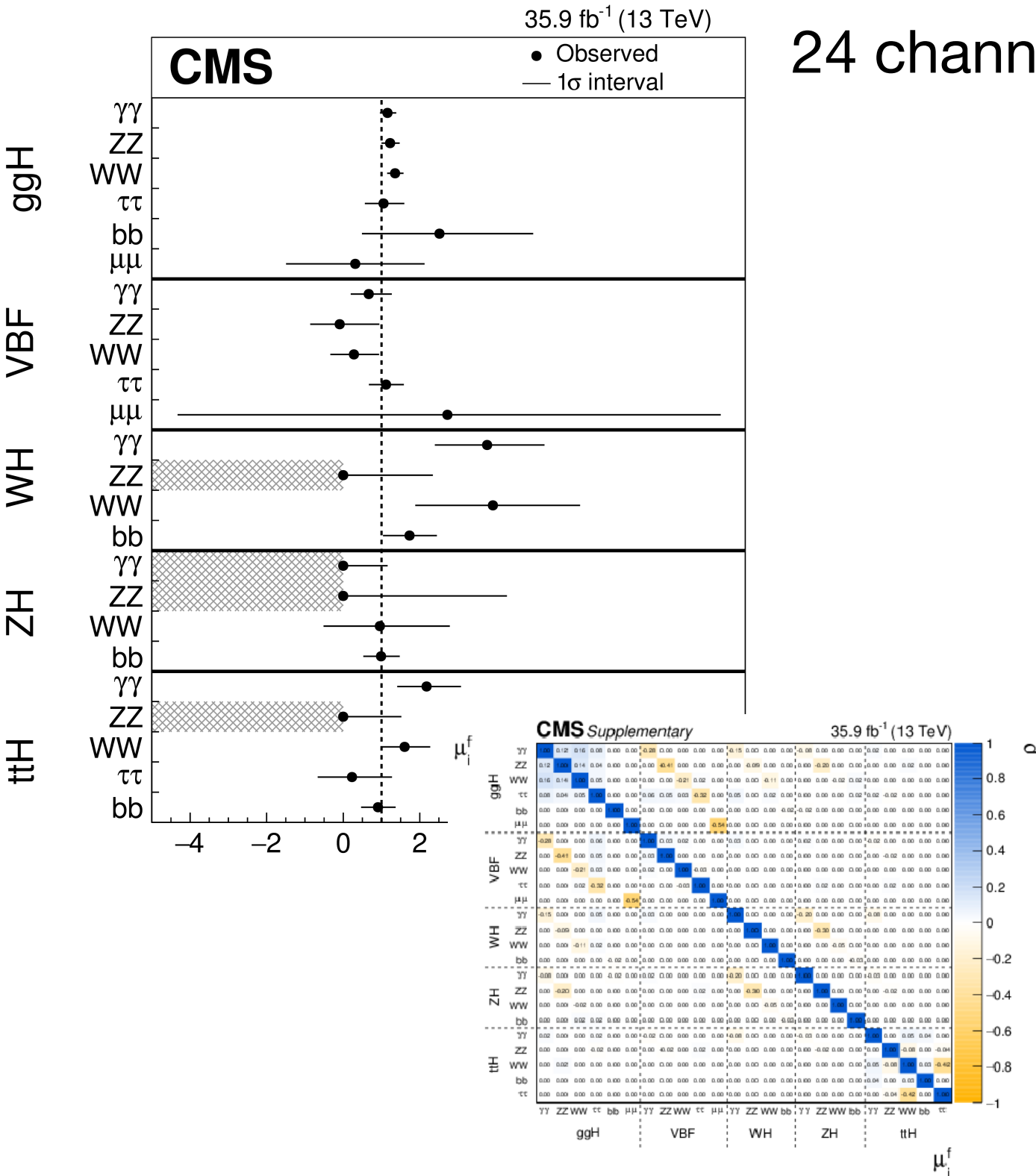
18-007

HIG-17-023

Paper ID's: CMS-HIG-yy-*nnn*



Validation examples - CMS combination

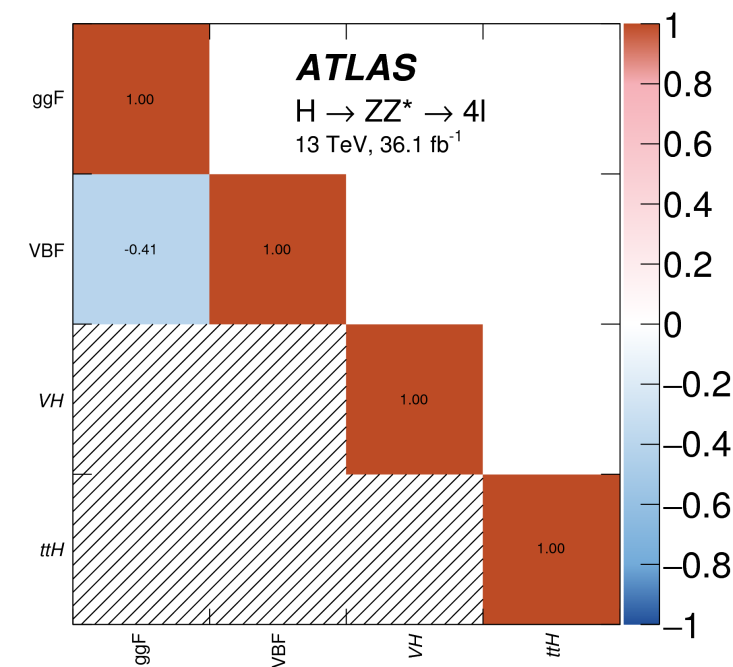


Validation examples - ATLAS $H \rightarrow ZZ^* \rightarrow 4l$

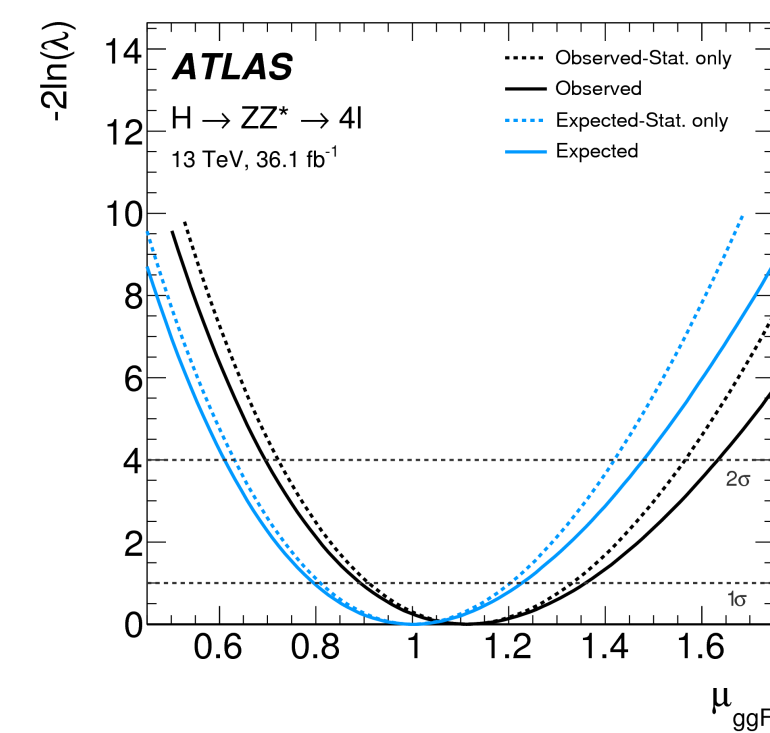
Table 9

Production bin	Cross section ($\sigma \cdot B$) [pb]		$(\sigma \cdot B)/(\sigma \cdot B)_{SM}$ Observed
	SM expected	Observed	
Inclusive production, $ y_H < 2.5$	1.34 ± 0.09	$1.73^{+0.24+0.10}_{-0.23-0.08} \pm 0.04$	$1.29^{+0.18+0.07}_{-0.17-0.06} \pm 0.03$
Stage-0 production bins, $ y_H < 2.5$			
ggF	1.18 ± 0.08	$1.31^{+0.26+0.09}_{-0.24-0.07} \pm 0.05$	$1.11^{+0.22+0.07}_{-0.20-0.06} \pm 0.04$
VBF	0.0928 ± 0.0028	$0.37^{+0.15}_{-0.13} \pm 0.03 \pm 0.03$	$4.0^{+1.7}_{-1.4} \pm 0.3 \pm 0.3$
VH	$0.053^{+0.003}_{-0.005}$	< 0.20	< 3.7
ttH	$0.0154^{+0.0011}_{-0.0016}$	< 0.12	< 7.5

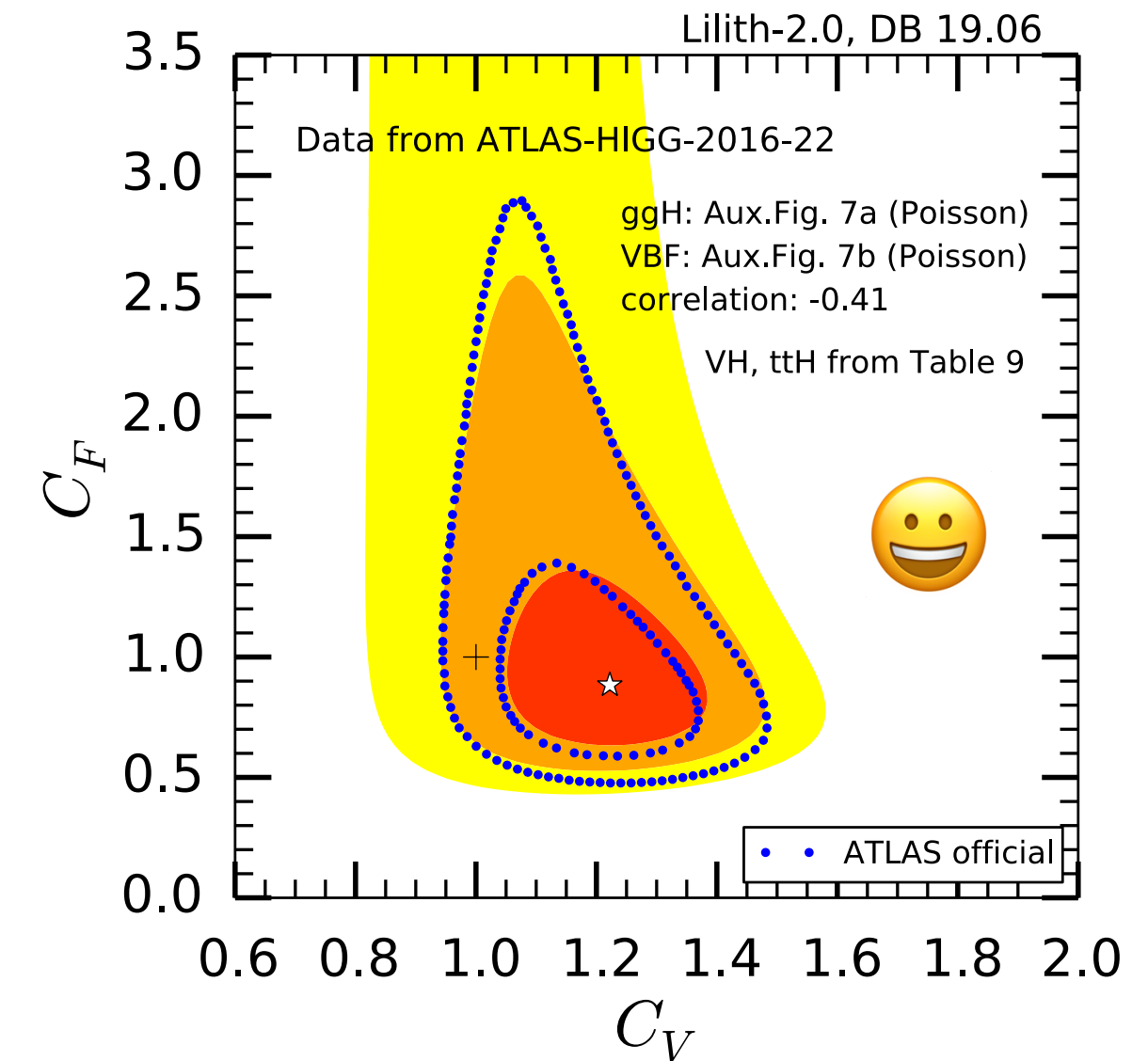
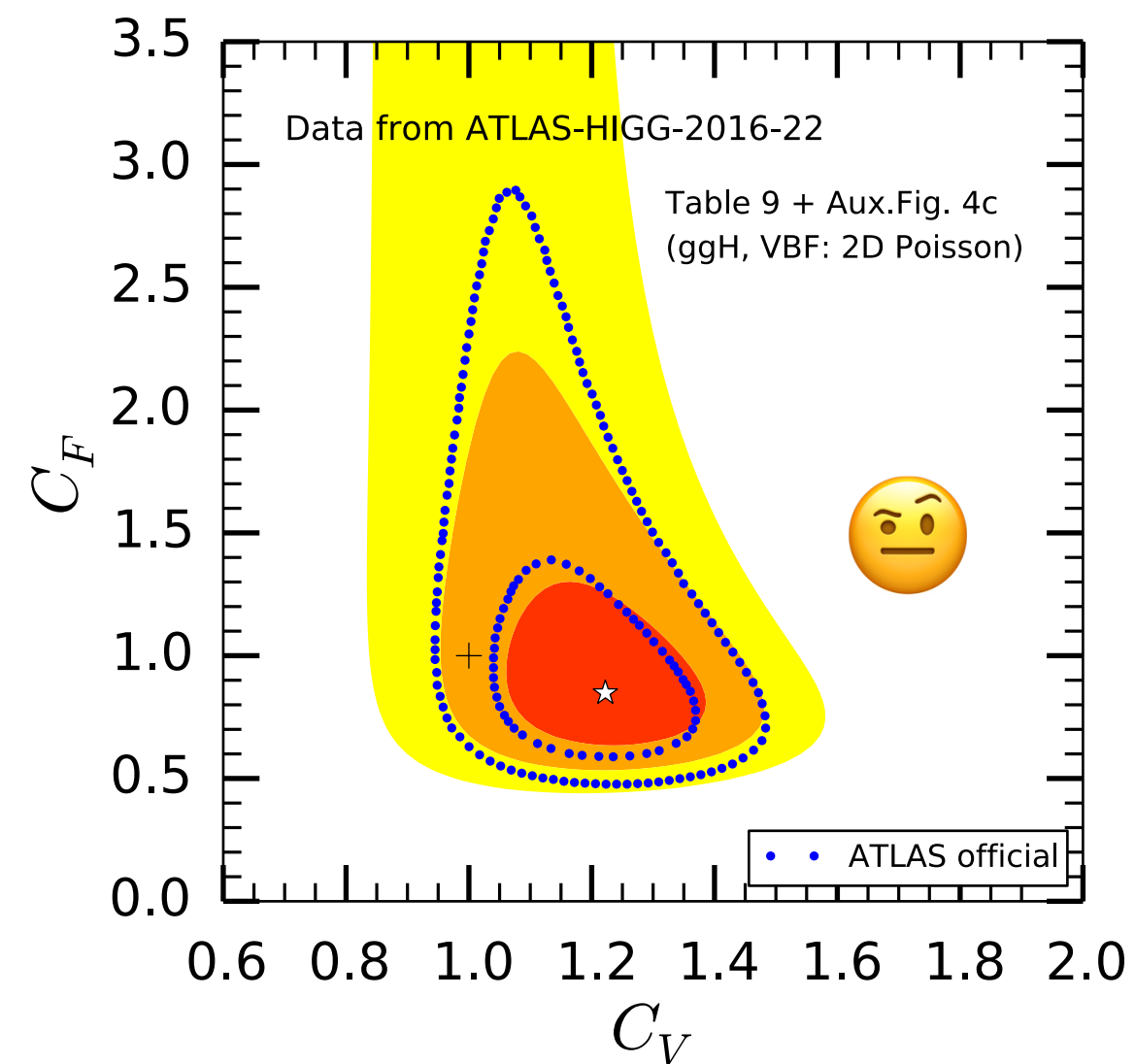
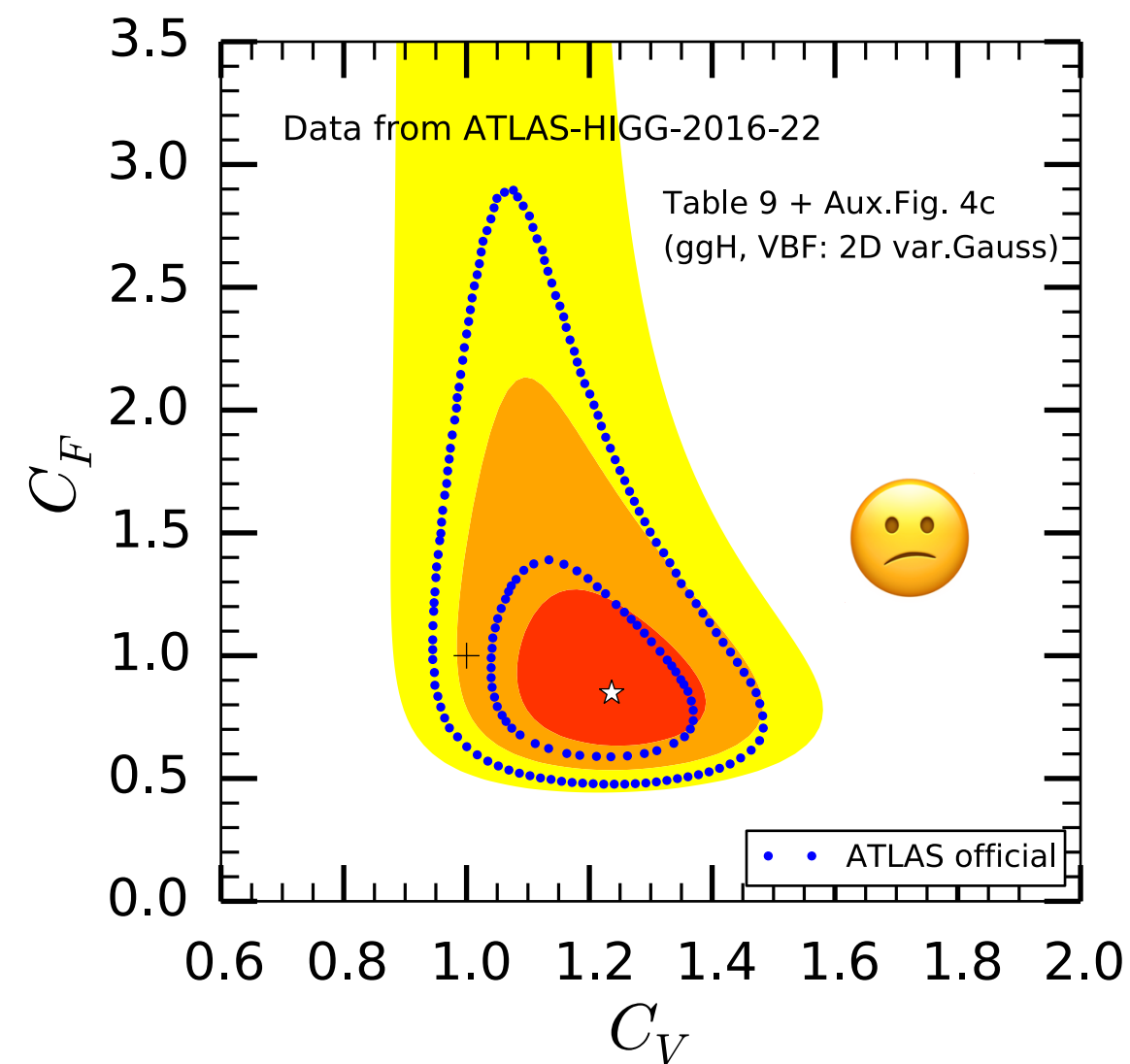
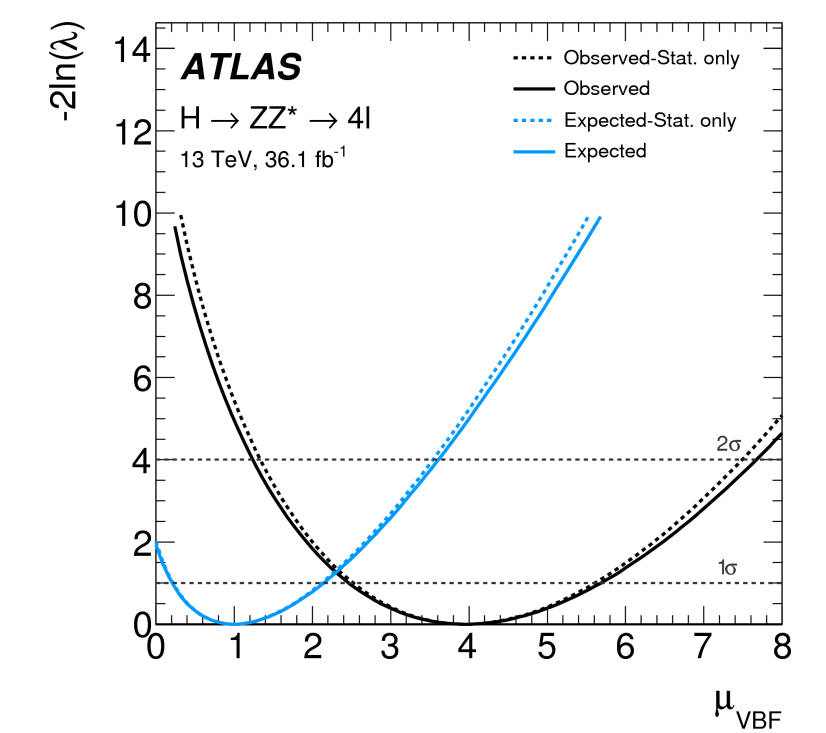
Aux.Fig. 4c



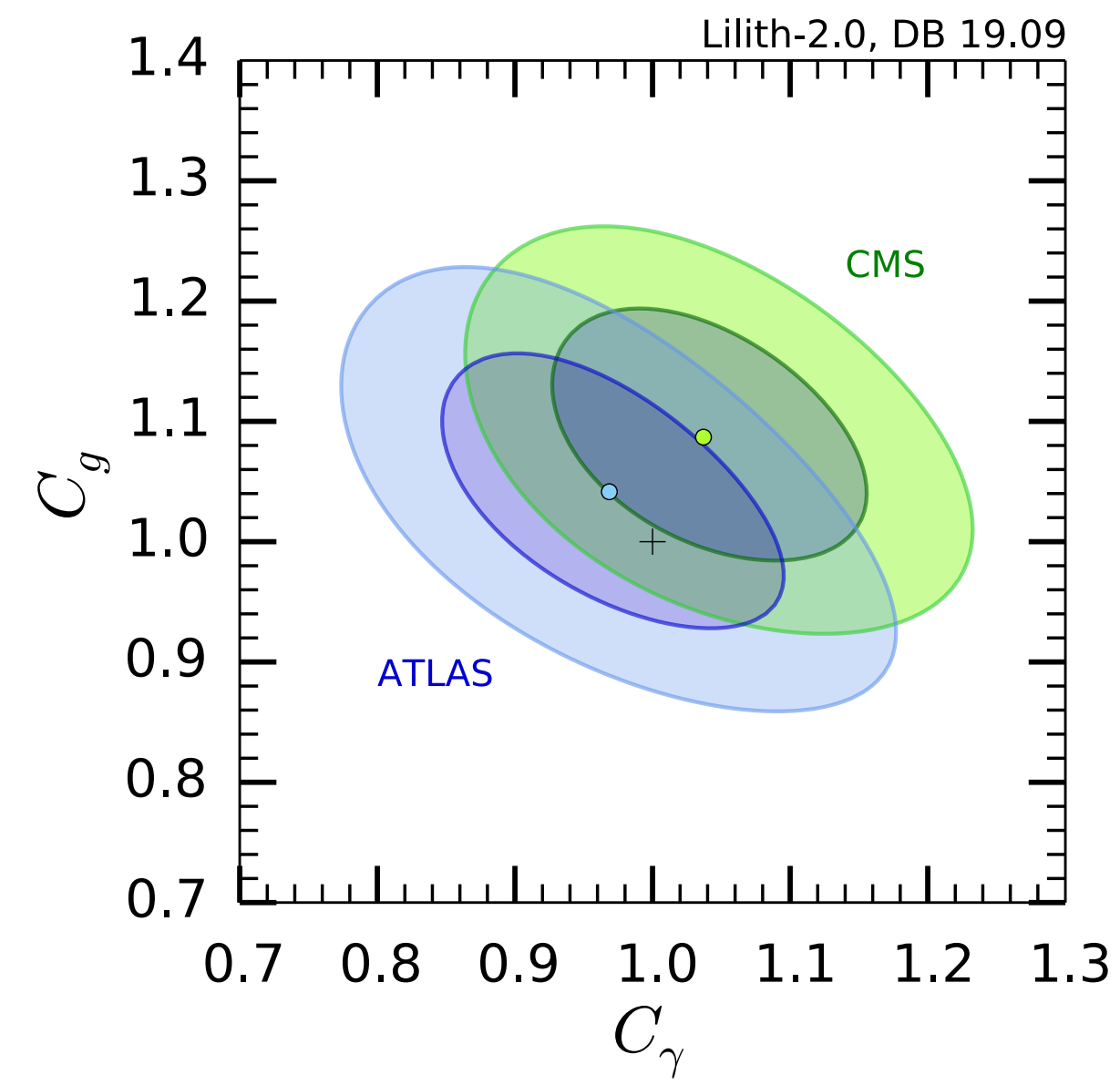
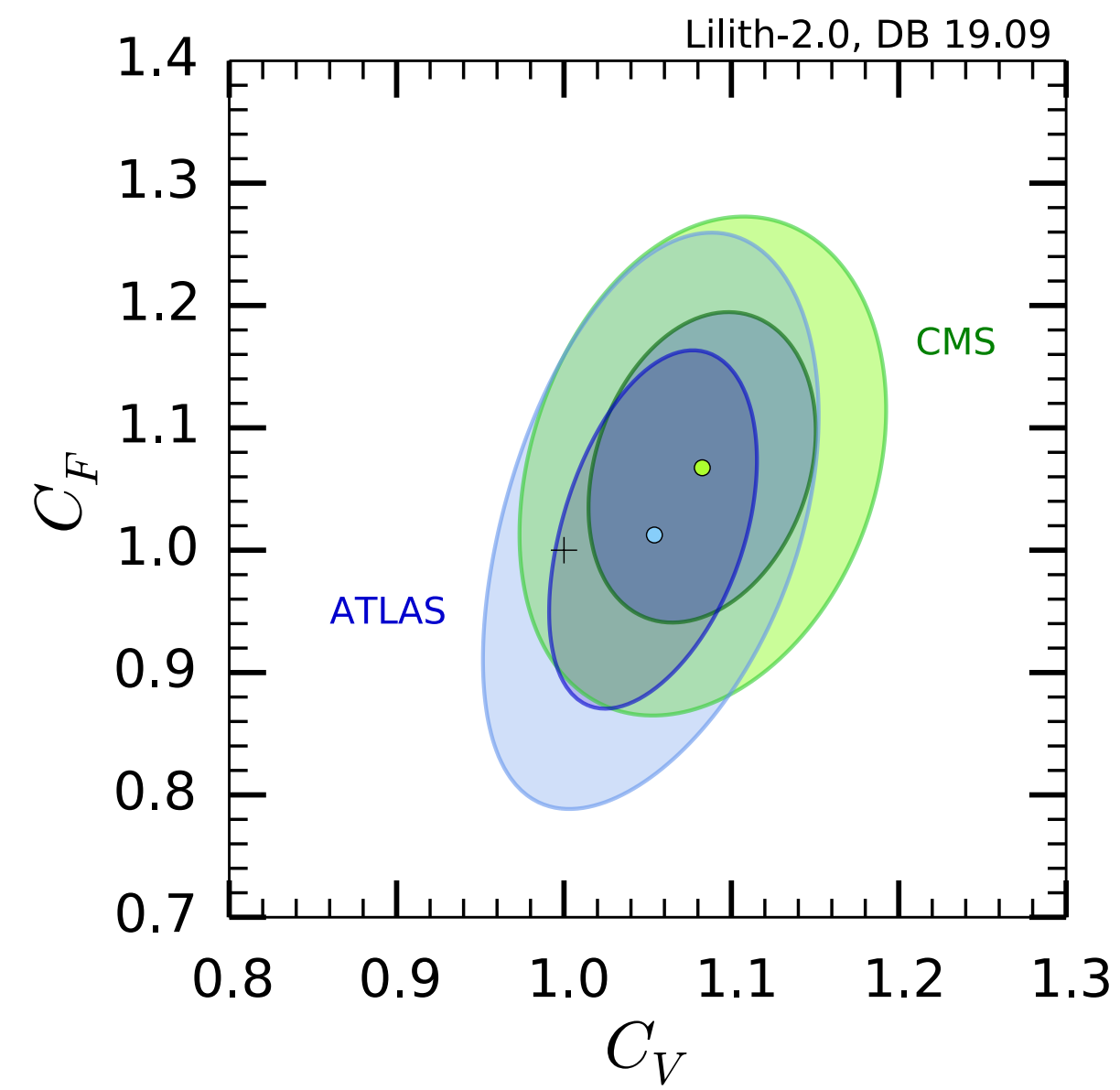
Aux.Fig. 7a



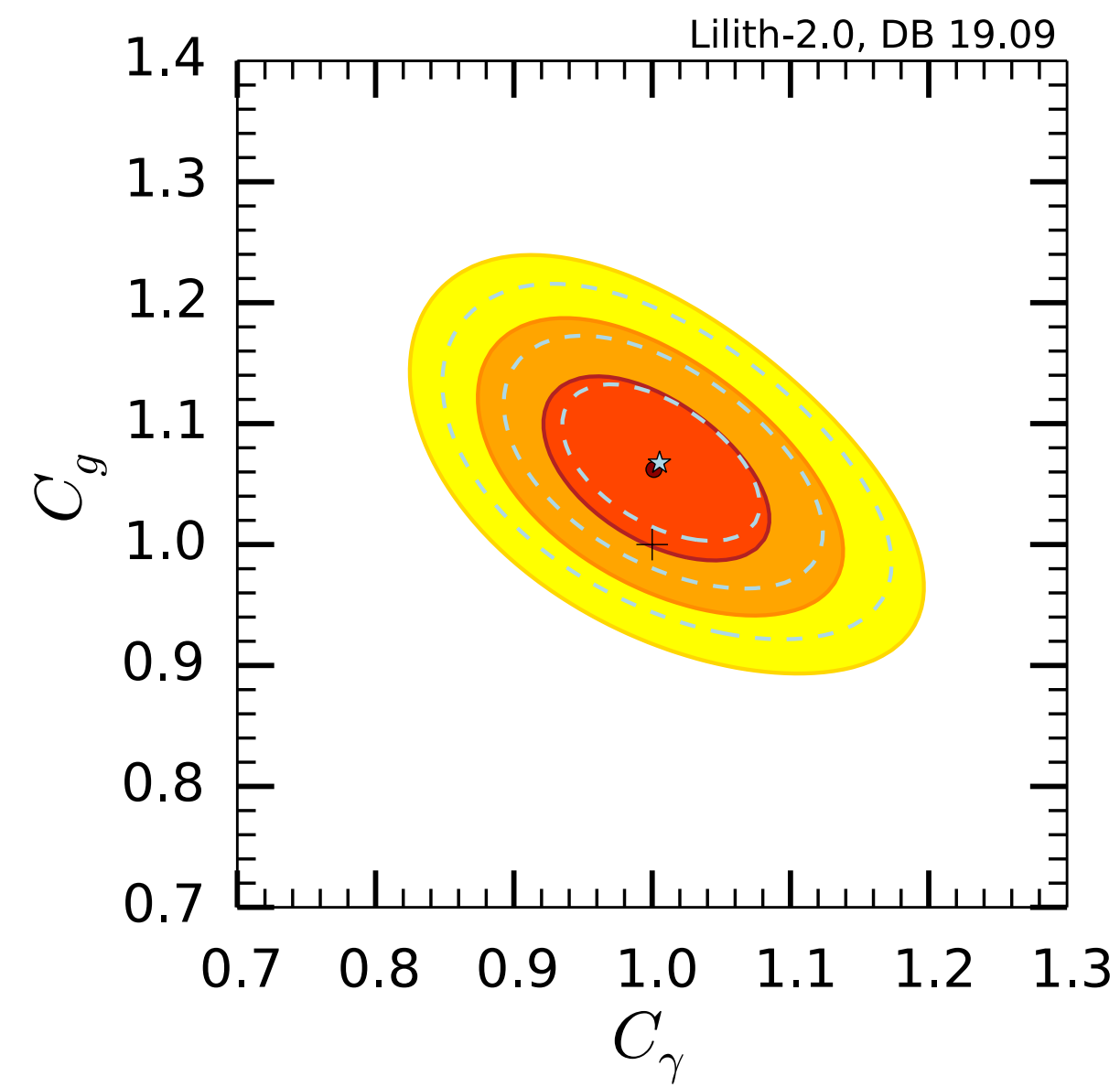
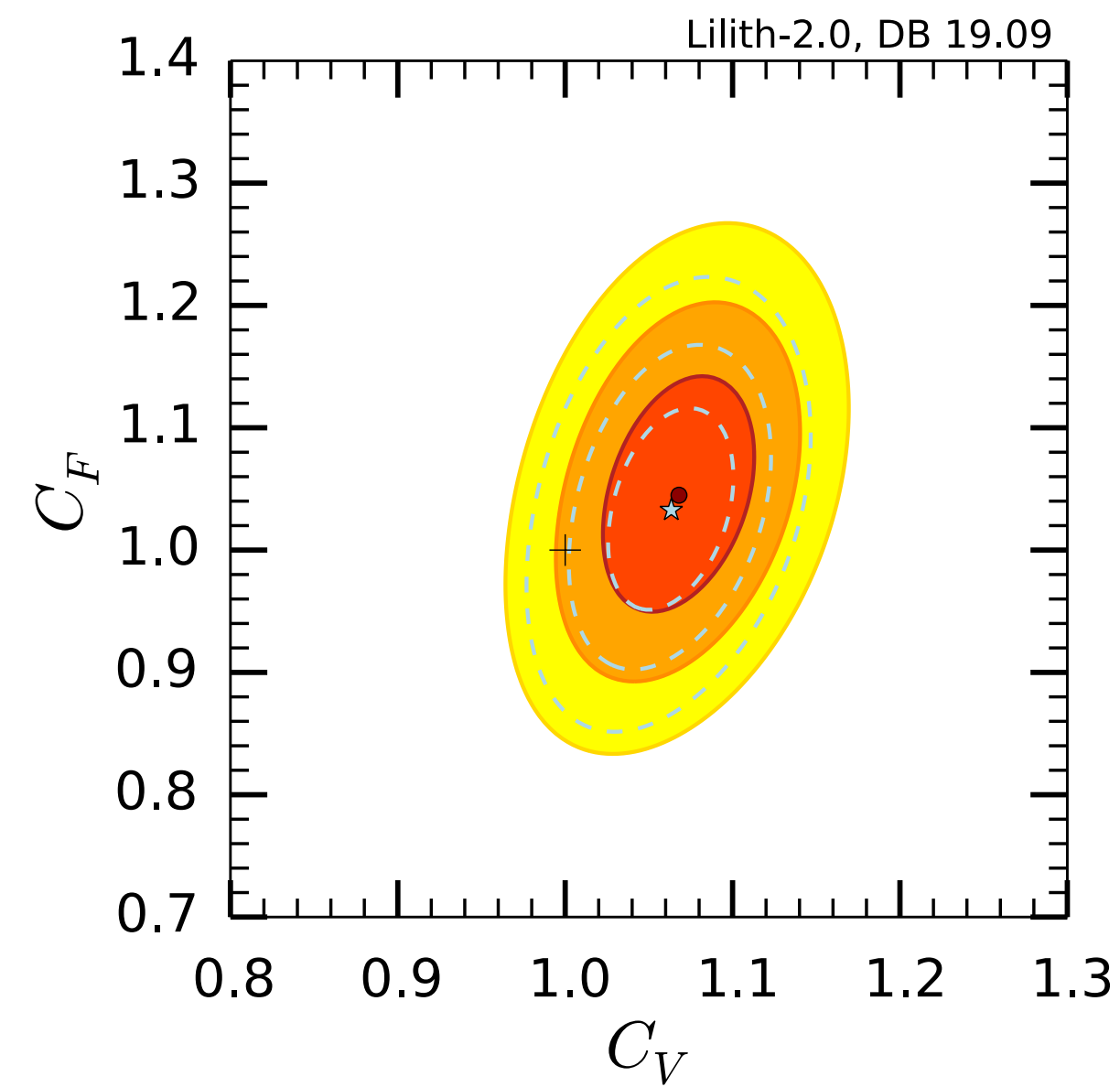
Aux.Fig. 7b



Constraints on couplings - status Sep. 2019

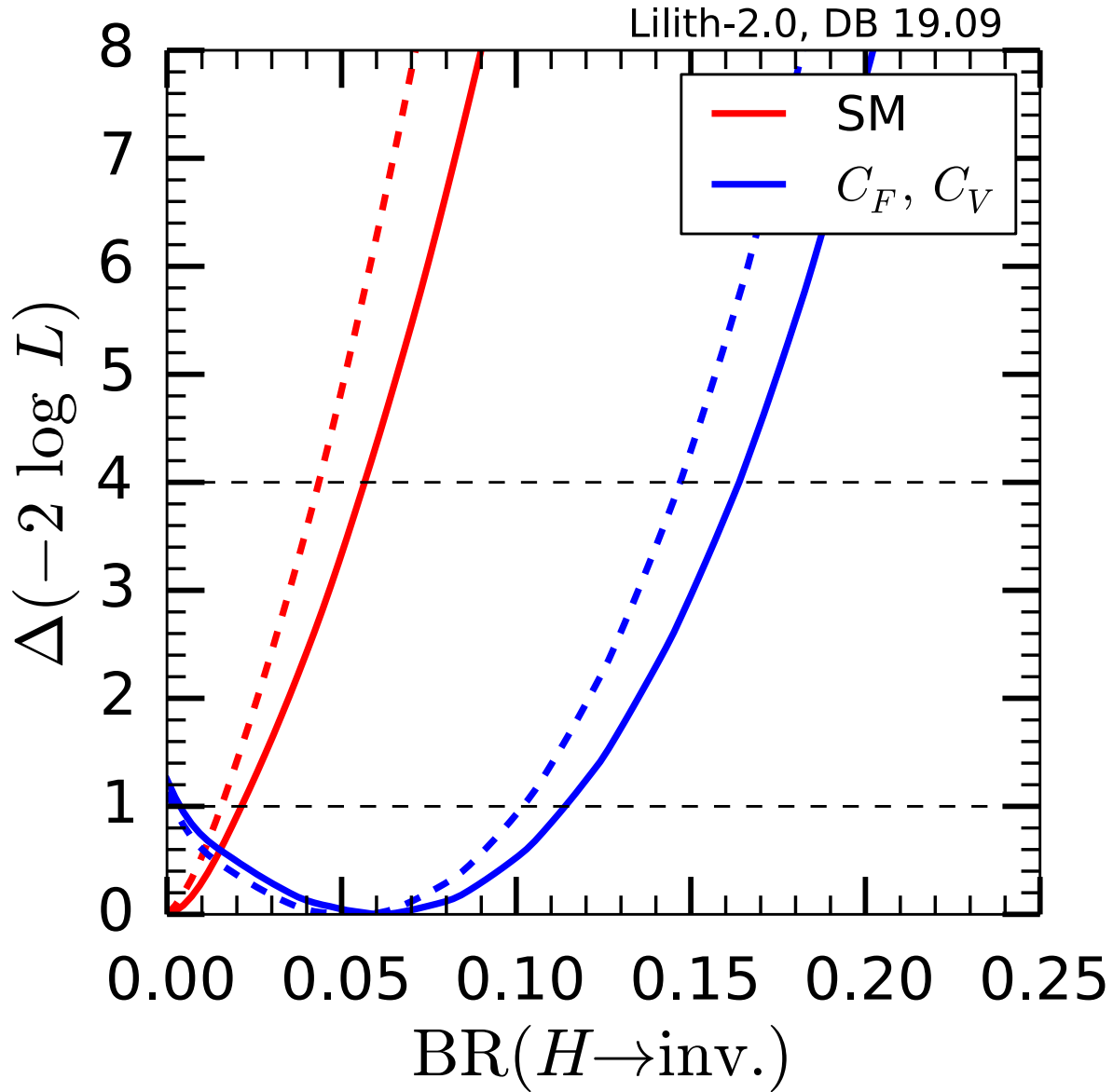
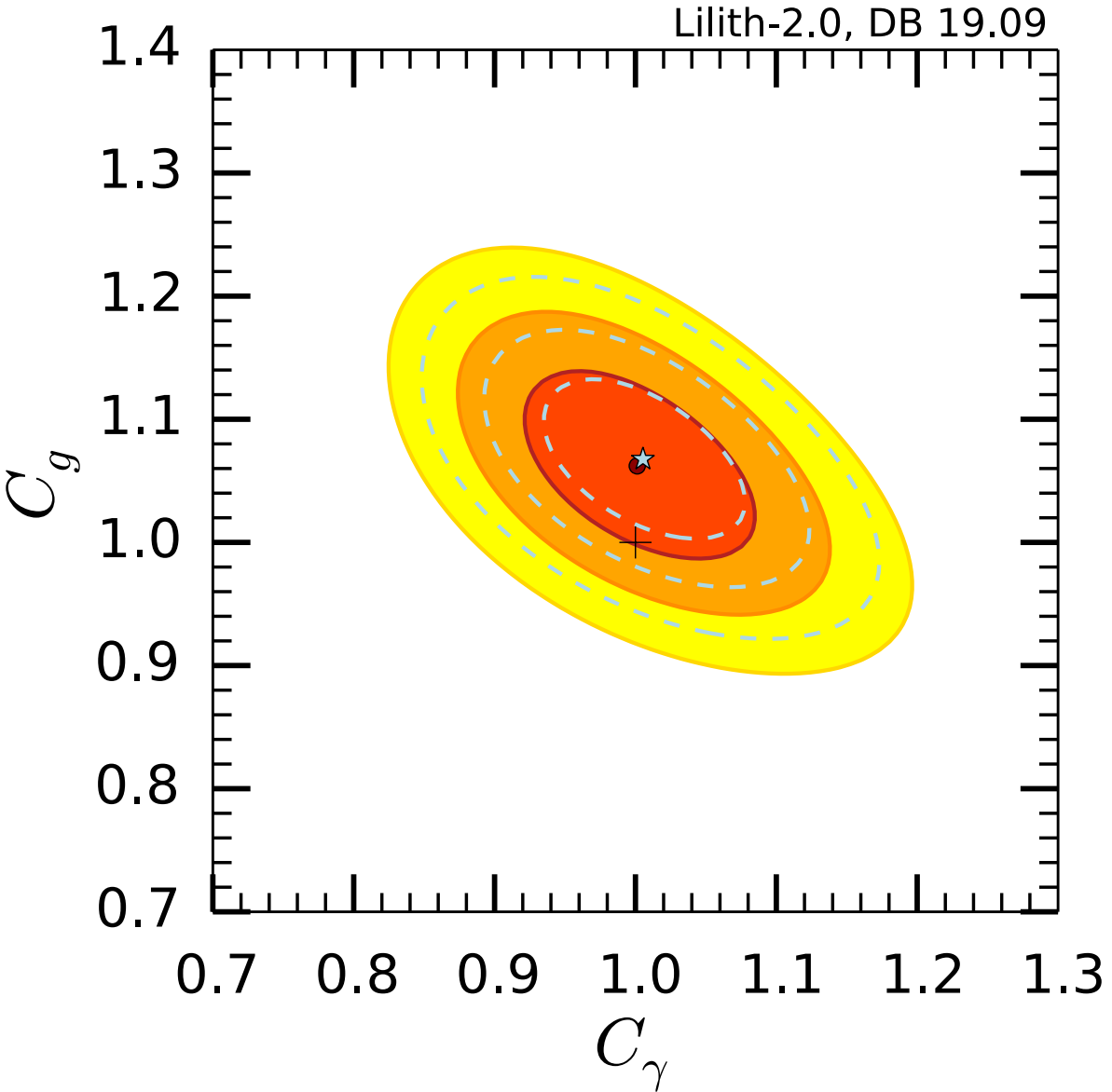
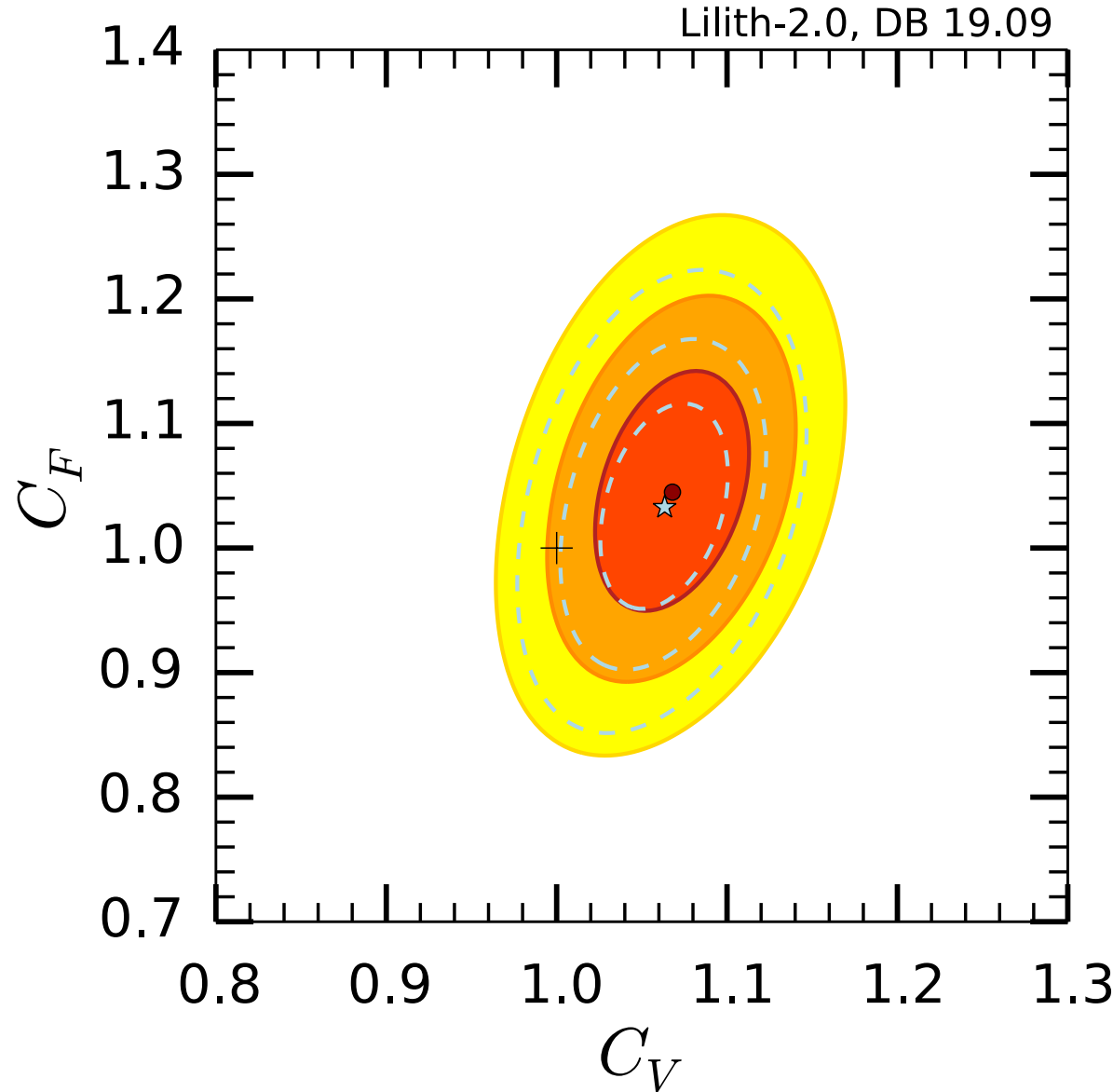


Constraints on couplings - status Sep. 2019



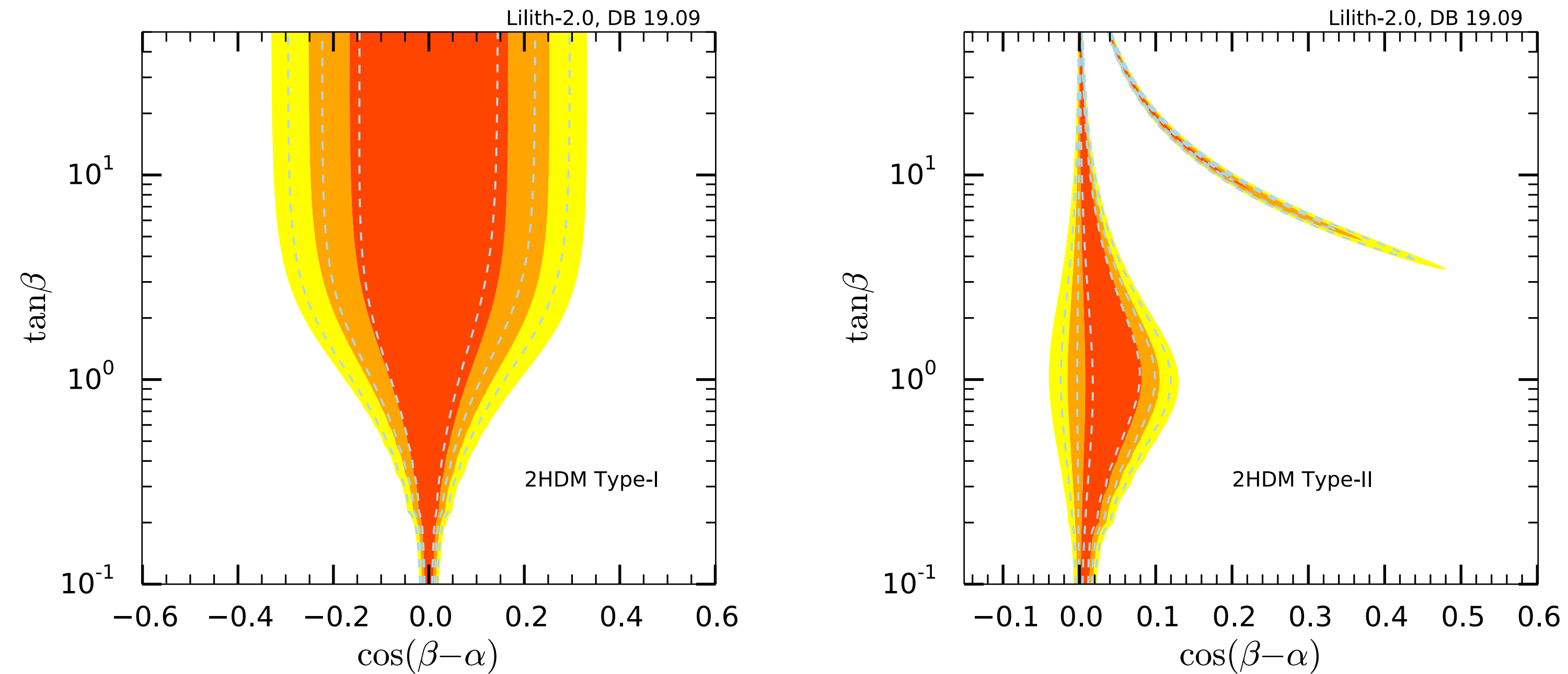
full contours: Run 2
dashed contours: Run1 + Run2

Constraints on couplings - status Sep. 2019



full contours: Run 2
dashed contours: Run1 + Run2

Constraints on couplings - status Sep. 2019



full contours: Run 2
dashed contours: Run1 + Run2

Ongoing developments

- The code has recently been translated from Python 2 to Python 3 (M1 internship of Marius Bertrand)
public release of new **Python 3 version** to come soon
- We are heavily working on a **database update for full Run 2 luminosity** (~140/fb) results;
not at all straightforward often no validation material, or other problems

big effort by
Tran Quang Loc

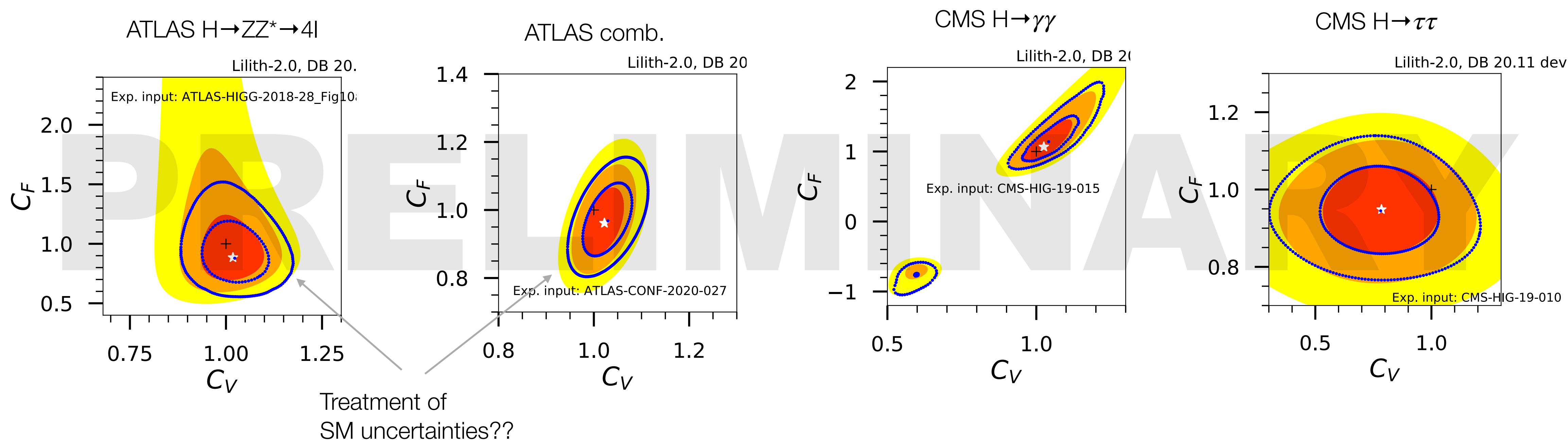
	$\gamma\gamma$	ZZ	WW	$\tau\tau$	bb	$\mu\mu$	inv.	combination
ATLAS	CONF: 2020-026 2019-004	HIGG-2018- 28	CONF-2020 -045		HIGG-2018- 51	HIGG-2019- 14		CONF-2020 -027
CMS	PAS-19-015 HIG-19-013			PAS-19-010		HIG-19-006		HIG-19-005

issues with validation, no validation material, looks ok

Ongoing developments

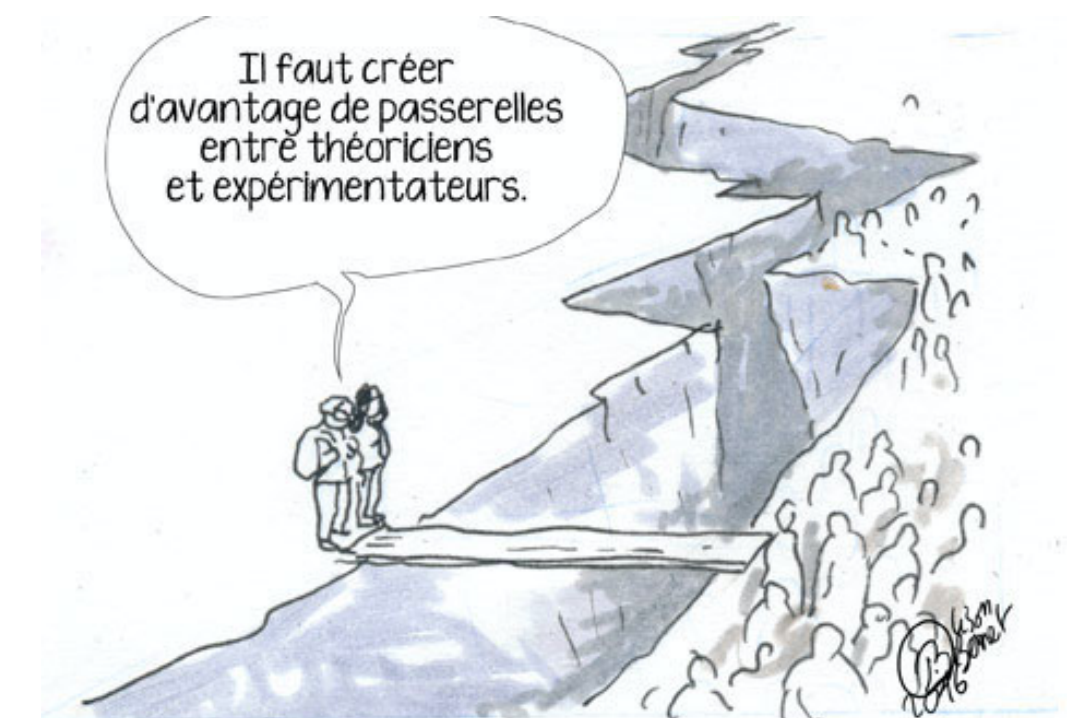
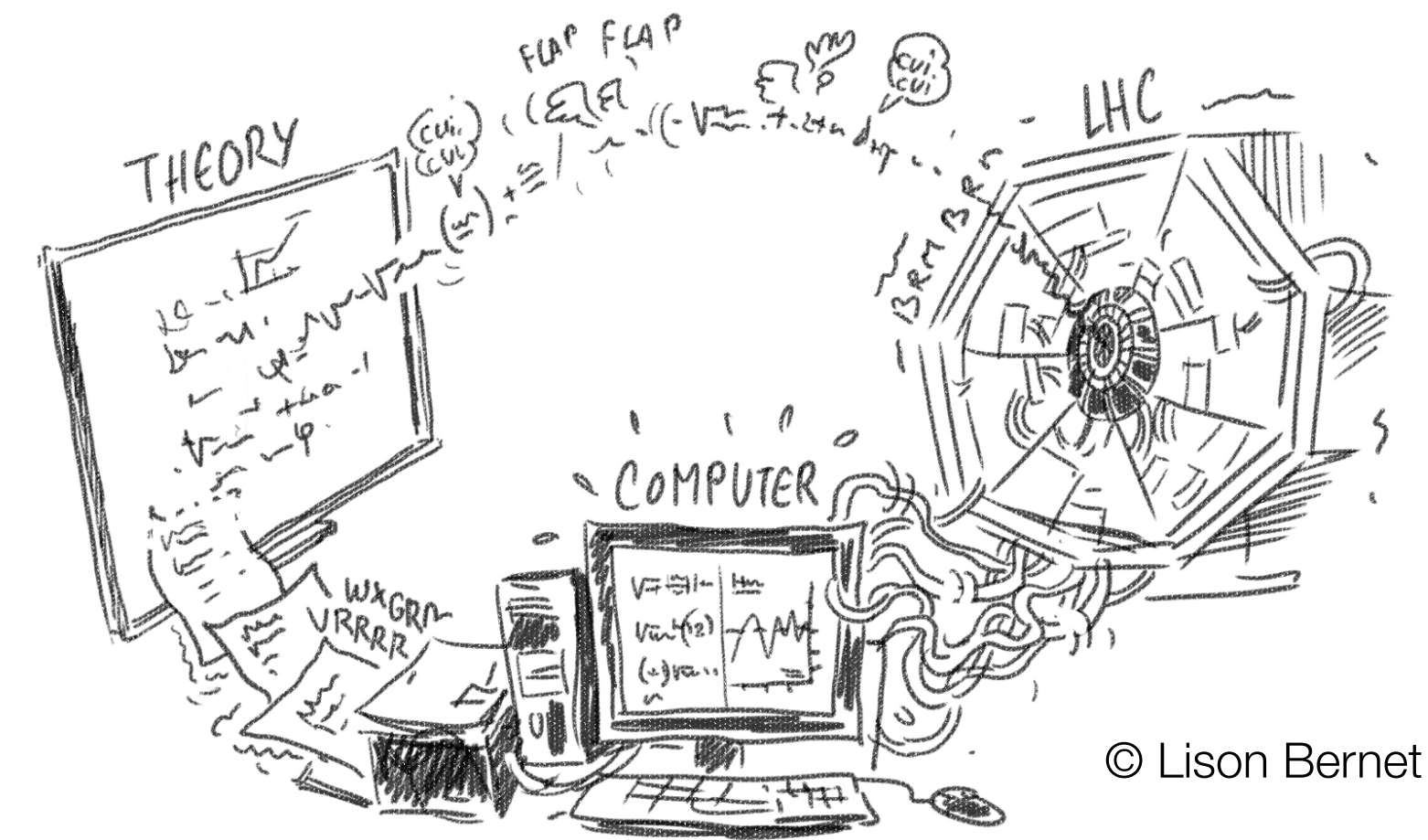
- The code has recently been translated from Python 2 to Python 3 (M1 internship of Marius Bertrand)
public release of new **Python 3 version** to come soon
- We are heavily working on a **database update for full Run 2 luminosity** ($\sim 140/\text{fb}$) results;
not at all straightforward often no validation material, or other problems

big effort by
Tran Quang Loc



Lilith : Light Likelihood fit for the Higgs

- Light and easy-to-use Python tool for **constraining new physics from signal strength measurements** of the 125 GeV Higgs boson.
- v2.0 features a better treatment of **asymmetric uncertainties** and **correlations**: variable Gaussian and generalized Poisson likelihoods; use of N-dim correlation matrices (for v.Gauss.).
- Database 19.09 contains the published **ATLAS and CMS Run 2 results for 36/fb** as of Sep 2019.
- Currently Python 2, **beta version for Python 3**
- **Update for full Run-2** luminosity results **in progress**.



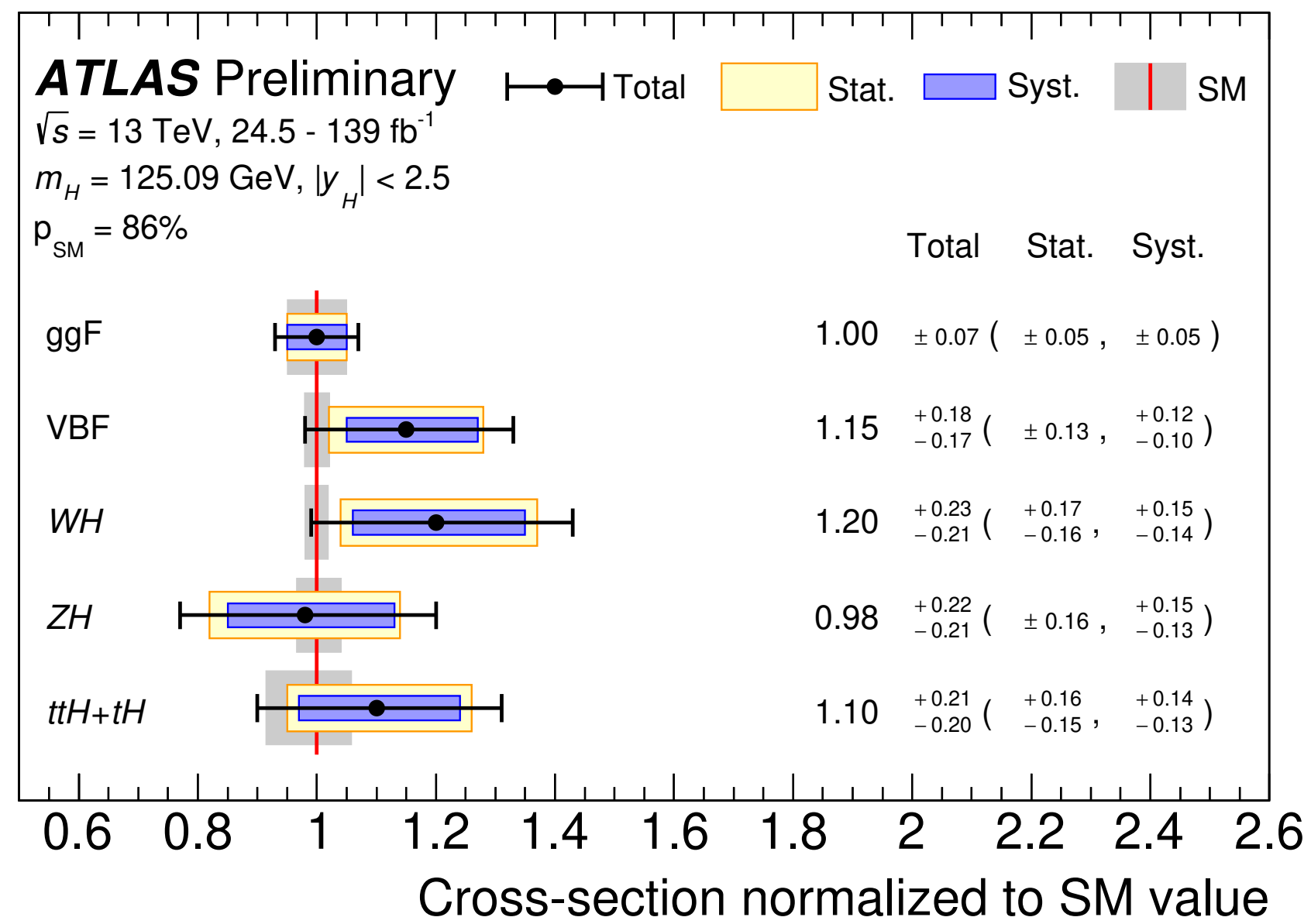
<https://github.com/sabinekrامل/Lilith-2>

BACKUP

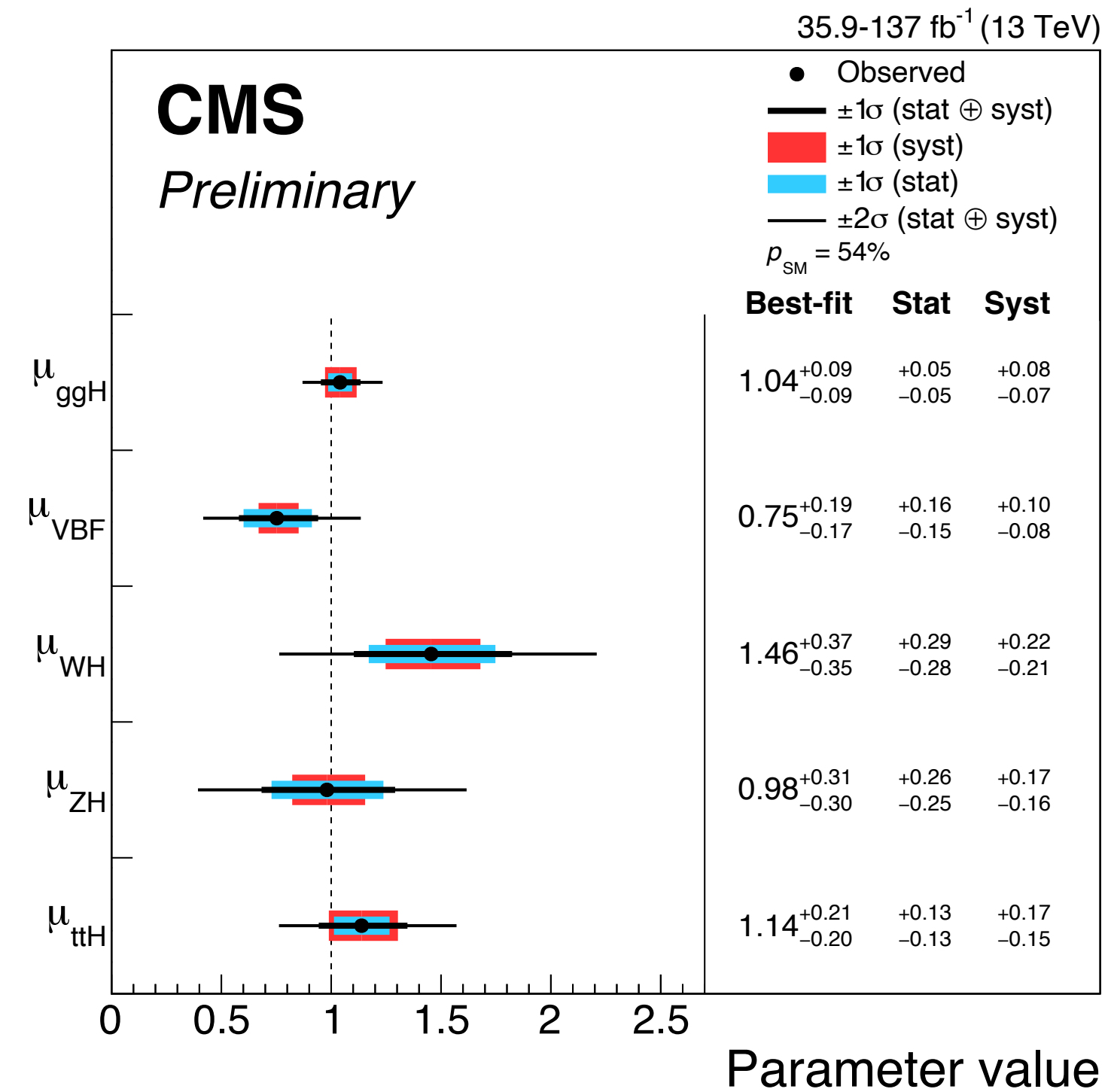
Production mode results

ATLAS measures σ_i while CMS measures signal strength μ_i

- difference in the treatment of theoretical uncertainties
 - ▶ in the first case, factorize out theory uncertainty on cross-section and include in SM prediction



ATLAS: significance $> 5\sigma$ for all production modes



Very good agreement with SM, both $p_{SM} > 50\%$

Started becoming systematic dominated, ggH precision \sim theory uncertainty

The **signal strength framework** remains of high interest because of its **power and ease of use** in constraining new physics [...]. We **encourage the experimental collaborations to continue to provide detailed Higgs signal strength multiplier results** (“ μ values”) in addition to STXS and differential fiducial cross-sections.

For optimal usefulness, we would appreciate:

- **best-fit μ 's and uncertainties** for the experimental reconstructed event categories and for the pure, unfolded Higgs production \times decay modes (allowing for negative μ values in order to have an unbiased estimator);
- **channel-by-channel correlation** or covariance matrices, separately for experimental and theoretical uncertainties, as well as **for the total (combined) uncertainties**;
- **reference values** (normalisation) of the corresponding SM predictions, or a clear reference where these values can be found, in the same binning as the experimental results;
- **signal efficiencies per signal channel** (i.e. each production \times decay mode), assuming SM Higgs kinematics; for combinations of production and/or decay modes, their relative contributions wherever possible.