

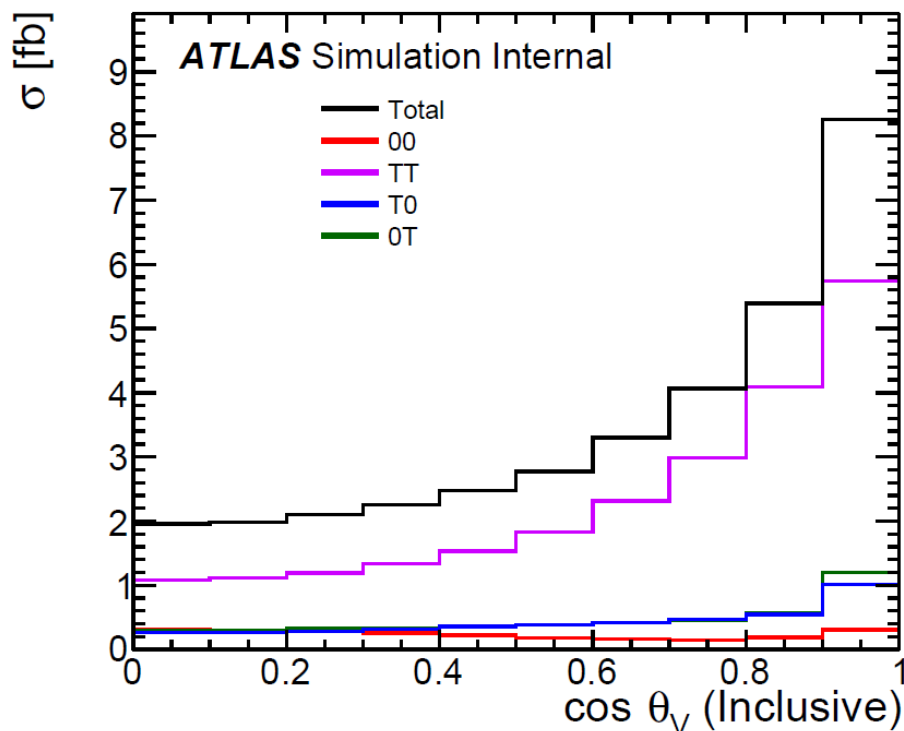
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(LAPP)

- Experimental methodology
- Pznu reconstruction methods
- Variables for polarisation extraction
- Phase space for the measurement(s)

- Find one discriminating variable : → A first candidate:  $|\cos \theta_V|$

- Do a template fit

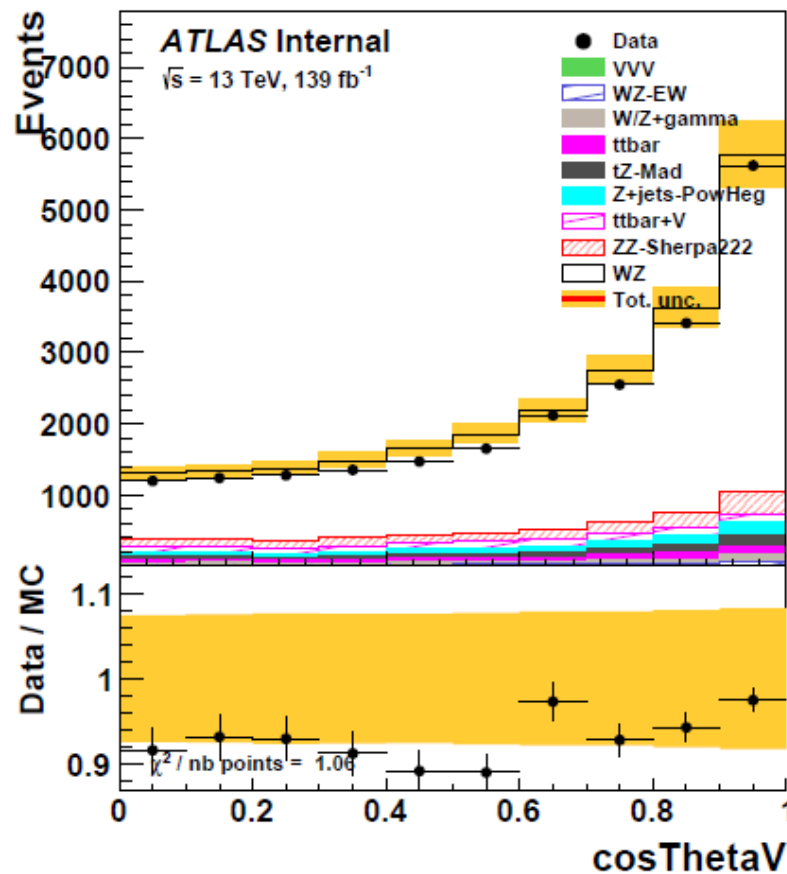


- Try to scale integral of polarisation templates to match data
- For sensitivity studies, replace data by the sum of templates (ie. Asimov data)
- Use a binned likelihood fit

- Use the constraint of sum of fractions = 1
  - Fit 3 fractions and the total cross section (or number of expected WZ events  $N_{tot}$ )

→ Templates from MadGraph LO + pythia8 are used

- For real data, need also to subtract backgrounds
  - ➔ With associated normalisation uncertainties



- Signal / backgrounds  $\sim 3.3$

- ➔ Includes the backgrounds in the fit
- ➔ Their amount and shape will reduce the sensitivity

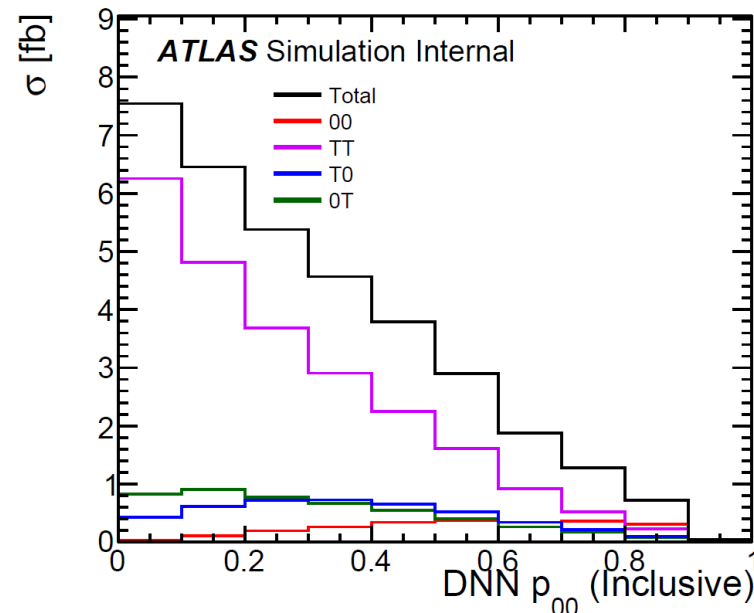
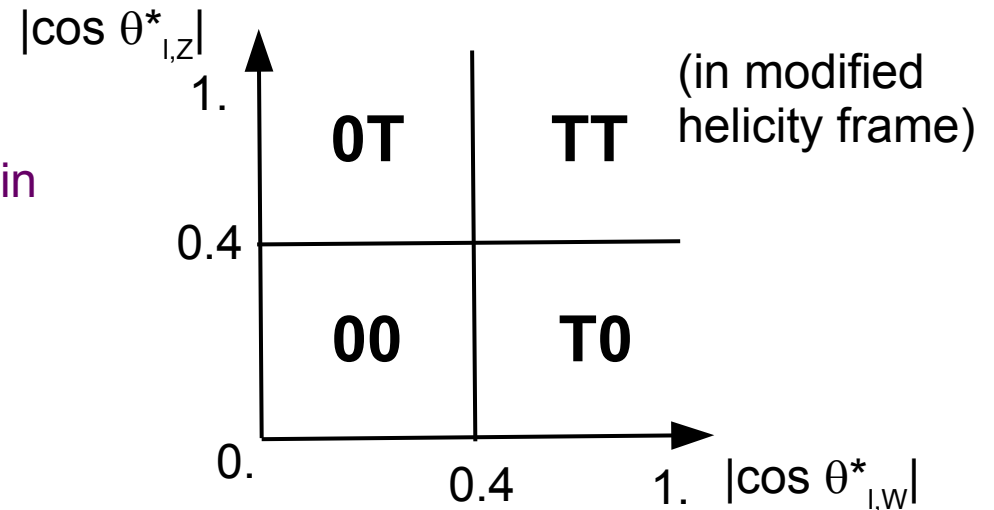
- Going beyond one single discriminating variable

- Associate 3 variables in a 3D fit

- Here divide events in 4 categories in the plane ( $|\cos \theta_{l,Z}^*|$ ,  $|\cos \theta_{l,W}^*|$ )

- The 3<sup>rd</sup> dimension is  $|\cos \theta_V|$

- Or combine more variables in a DNN, and fit the 1D DNN score



- Pznu reconstruction problem :

$$p_z^\nu = \frac{p_z^l \xi \pm \sqrt{\Delta}}{p_T^{l^2}}$$

$$\Delta = p_z^{l^2} \xi^2 - p_T^{l^2} [E^{l^2} p_T^{\nu^2} - \xi^2], \xi = \frac{m_W^2}{2} + \vec{p}_T^l \vec{p}_T^\nu$$

- $\Delta > 0$  : there are two physical solutions.
  1. Take the smallest solution in absolute
  2. Take the solution in the same hemisphere as the lepton, otherwise take the smallest
- $\Delta < 0$  : there is no physical solutions. (~30% of events at detector level)
  1. Take the real part of the complex solution
  2.  $p_T^\nu$  is rescaled so that  $m_T^W$  equals  $m_W^{PDG}$

- Tested methods:

- “Baseline” = 1., 1. (was used in previous ATLAS publications)
- “Alternative” = 2., 2.
- Using a DNN regression (Francesco)

- Comparison of the methods :

→ Check impact on the final fit for  $f_{00}$  extraction

- Fit of the DNN  $p_{00}$  score

(fractions measured at detector level)

$p_z^\nu$ reconstruction	$f_{00}$	$f_{0T}$	$f_{TT}$	$N_{\text{tot.}}$	$f_{00}/\delta f_{00}$
DNN regression	$0.069 \pm 0.0089$	$0.13 \pm 0.14$	$0.67 \pm 0.080$	$19142 \pm 315$	7.7
Alternative	$0.069 \pm 0.0092$	$0.13 \pm 0.13$	$0.67 \pm 0.078$	$19143 \pm 315$	7.5
Baseline	$0.069 \pm 0.0096$	$0.13 \pm 0.15$	$0.67 \pm 0.08$	$19144 \pm 315$	7.2

- Fit of  $|\cos \theta_\nu|$  with 4 categories

(fractions corrected for detector efficiency)

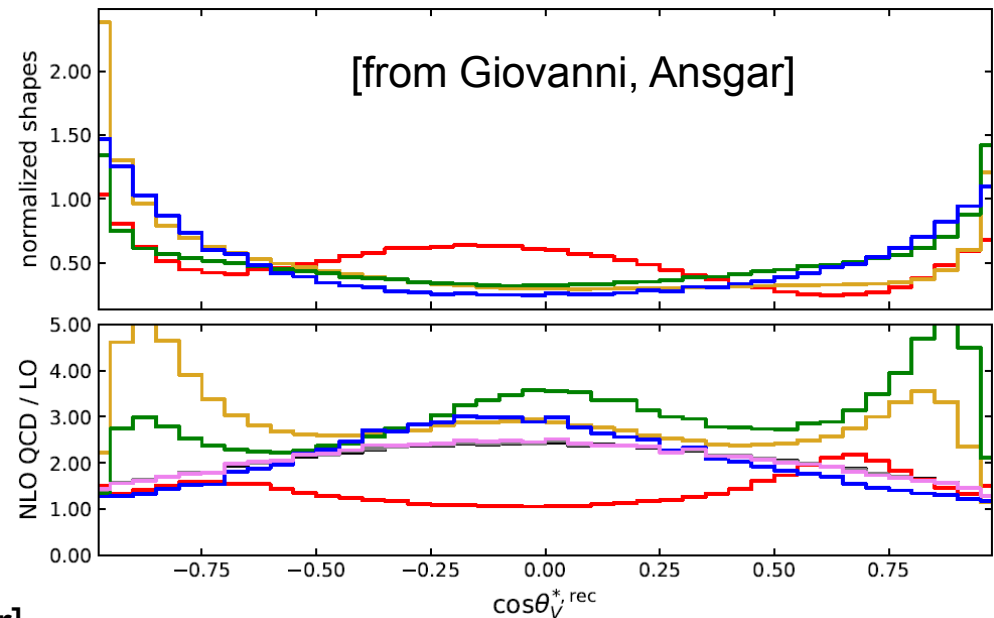
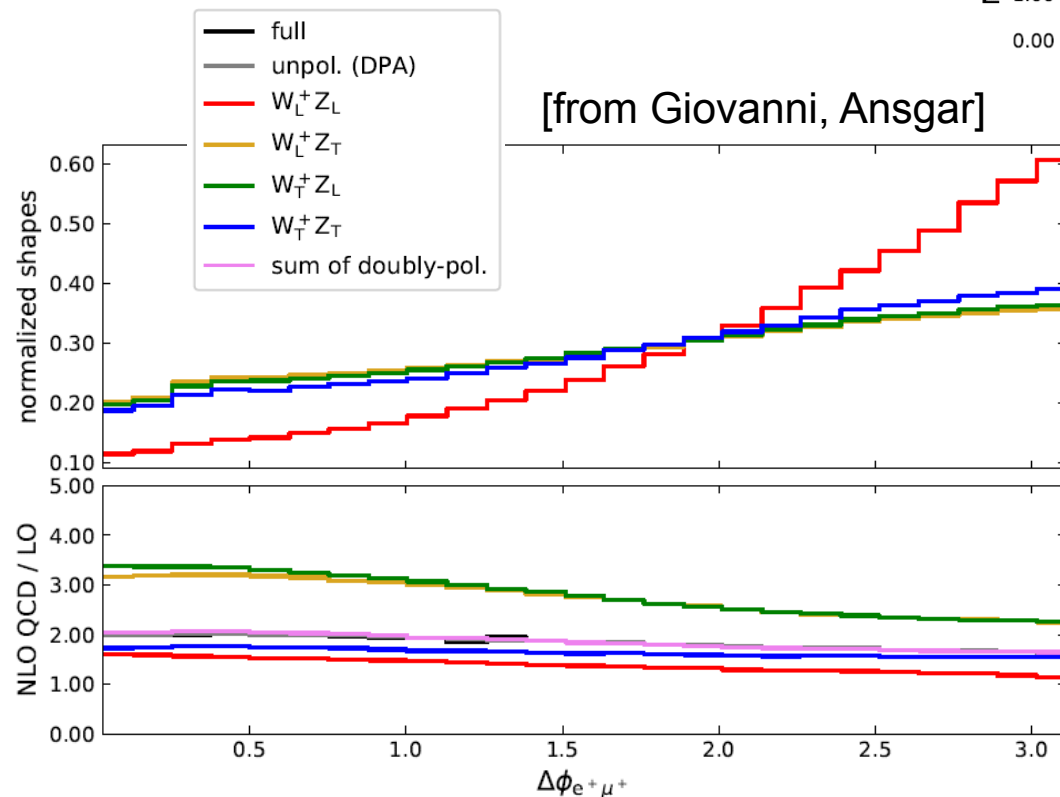
$p_z^\nu$ reconstruction	$f_{00}$	$f_{0T}$	$f_{TT}$	$N_{\text{tot.}}$	$f_{00}/\delta f_{00}$
DNN regression	$0.063 \pm 0.016$	$0.14 \pm 0.04$	$0.67 \pm 0.039$	$41195 \pm 630$	3.9
Alternative	$0.063 \pm 0.017$	$0.14 \pm 0.05$	$0.67 \pm 0.045$	$41205 \pm 640$	3.7
Baseline	$0.063 \pm 0.017$	$0.14 \pm 0.046$	$0.67 \pm 0.044$	$41201 \pm 640$	3.7

→ Slight advantage to DNN pznu reconstruction

→ Attributed to a better separation from  $\cos \theta_{l,W(Z)}^*$

- $|\cos\theta_v|$  is good, but huge NLO corrections ?

➔ Need variables with ~flat NLO corrections



- ➔  $\Delta\phi_{e^+\mu^+}$  seems to be a good candidate
- ➔ But no separation between 00 and 0T/T0 modes
- ➔ Combine with  $(|\cos\theta_{l,Z}^*|, |\cos\theta_{l,W}^*|)$

- Sensitivity using the full fit :

(fractions measured at detector level)

Variable	$f_{00}$	$f_{0T}$	$f_{TT}$	$N_{\text{tot.}}$	$f_{00}/\delta f_{00}$
$ \cos \theta_V $	$0.061 \pm 0.027$	$0.16 \pm 0.12$	$0.62 \pm 0.06$	$17234 \pm 310$	2.25
$ \cos \theta_V $ , 4 categories	$0.061 \pm 0.019$	$0.16 \pm 0.04$	$0.62 \pm 0.04$	$17232 \pm 300$	3.3
$\Delta\phi(\ell_W, \ell_Z)^{sc}$ , 4 categories	$0.061 \pm 0.017$	$0.16 \pm 0.04$	$0.62 \pm 0.04$	$17232 \pm 310$	3.6

(different MC sample than on p6 used)

➔ Better sensitivity than  $\cos \theta_V$

➔ Advantage of having 3 variables with  $\sim$  flat NLO corrections

➤ Need variables with  $\sim$ flat NLO corrections

➤ Interesting to see NLO corrections for DNN p00 observable



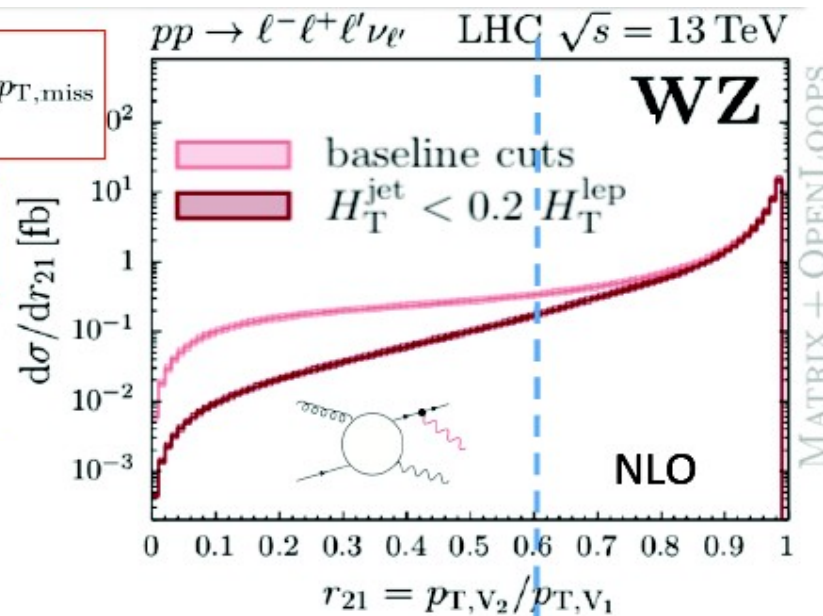
- At least do a measurement + calculation in “inclusive” phase space (ie. the present one)
- Can we reduce impact of NLO (QCD, EW) corrections adding some cuts ?

→ using  $r_{21}$  ?

$$H_T^{\text{lep}} = \sum_{i \in \{\ell^\pm\}} p_{T,i} + p_{T,\text{miss}}$$

$$H_T^{\text{jet}} = \sum_{i \in \text{jets}} p_{T,i}$$

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- To enhance sensitivity to  $f_{00}$  ?

→  $PTWZ < 120$  GeV ?

- Test effects of the cuts on the fit sensitivity

→ Fits done using  $\Delta\phi(\ell_W, \ell_Z)^{sc}$ , 4 categories

Phase space	$f_{00}$	$f_{0T}$	$f_{TT}$	$N_{\text{tot.}}$	$f_{00}/\delta f_{00}$
Inclusive	$0.061 \pm 0.017$	$0.16 \pm 0.04$	$0.62 \pm 0.04$	$17232 \pm 310$	3.6
Inclusive + $r_{21} > 0.6$	$0.075 \pm 0.022$	$0.13 \pm 0.05$	$0.67 \pm 0.05$	$11555 \pm 189$	3.35
Inclusive + $p_T^{WZ} < 120$ GeV	$0.071 \pm 0.022$	$0.15 \pm 0.05$	$0.63 \pm 0.05$	$14316 \pm 255$	3.15

- In terms of sensitivity “inclusive” PS looks still the best
- But no theory uncertainties considered ....
- Interesting to see evolution of polarisation and NLO correction wrt. these variables

- Pznu reconstruction :
  - Analytical : use options 2 ? → for theory calculation
  - DNN seems better for the fit at detector level
  - For truth level reweighting: use directly the generated neutrino
- Observables for polarisation
  - Better use variables with flat NLO QCD corrections
  - $\Delta\phi_{e+\mu+}$  together with  $\cos\theta_{l,Z}^*$ ,  $\cos\theta_{l,W}^*$  seems promising
  - And DNN
- Phase space
  - Would a cut on R21 or pTWZ reduce NLO corrections ?
  - Interesting to try a measurement at high pTZ (pTZ > ~200 GeV) ?

