

The cluster counts tension : calibration issue or new physics ?

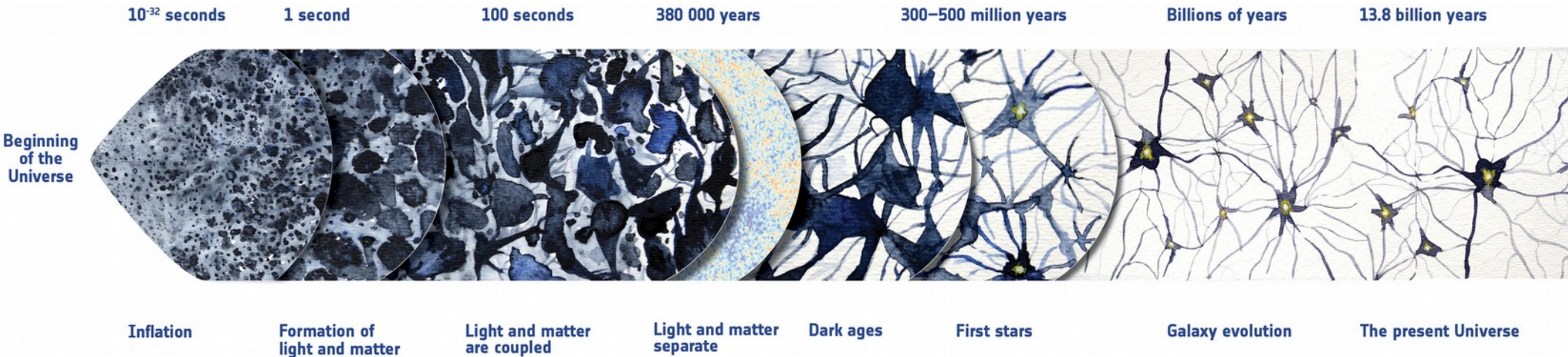
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In collaboration with
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& Z. Sakr (IRAP, France)

Atelier Amas France 2020
@ The Internet, 09/12/2019

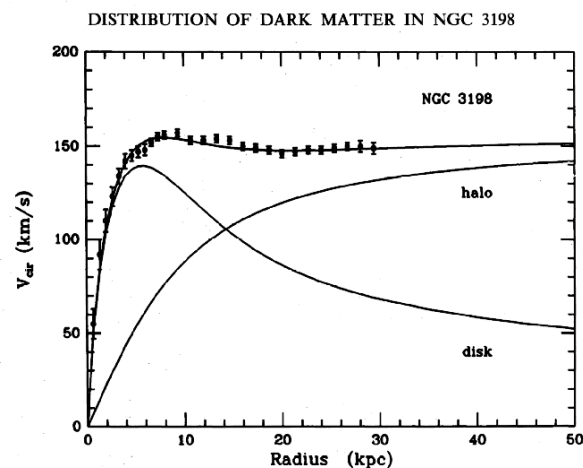
The standard model of cosmology

- The Λ CDM paradigm: a simple model, with many successes...

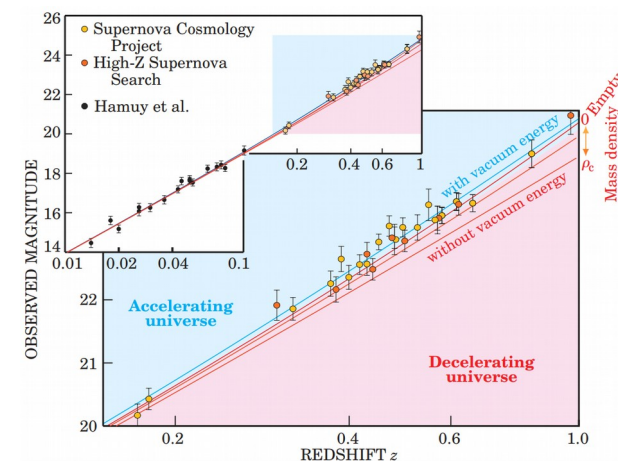


- ... but rests on pillars “shrouded in darkness”:

- Dark matter



- Dark energy



Most economical model, but many alternatives exist

Clusters as cosmological probes

Clusters of galaxies:

- Largest structures in the Universe → closer to linear regime than 1-pt GCF
- Exponentially sensitive to growth rate of structure → great probes of DE

Use as cosmological probe:

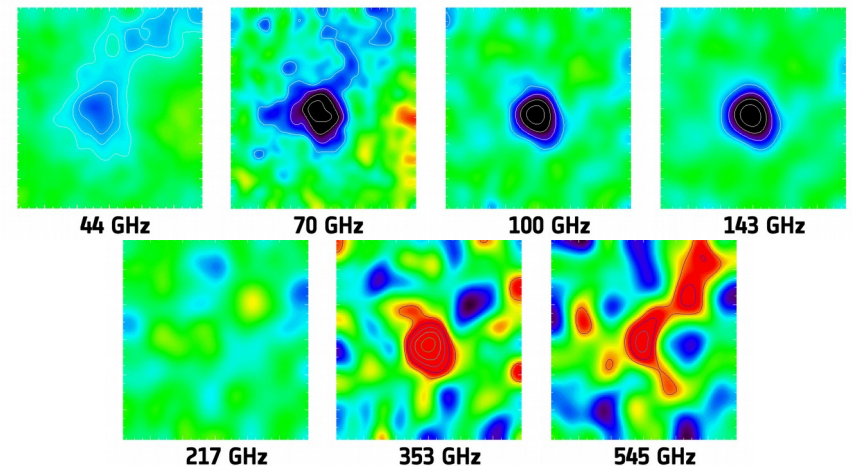
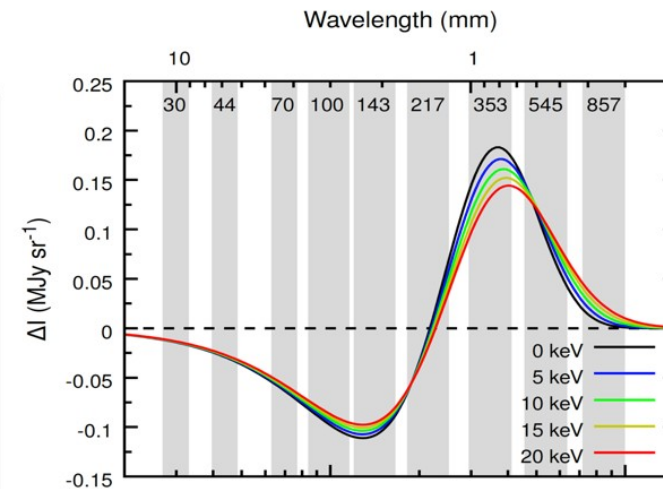
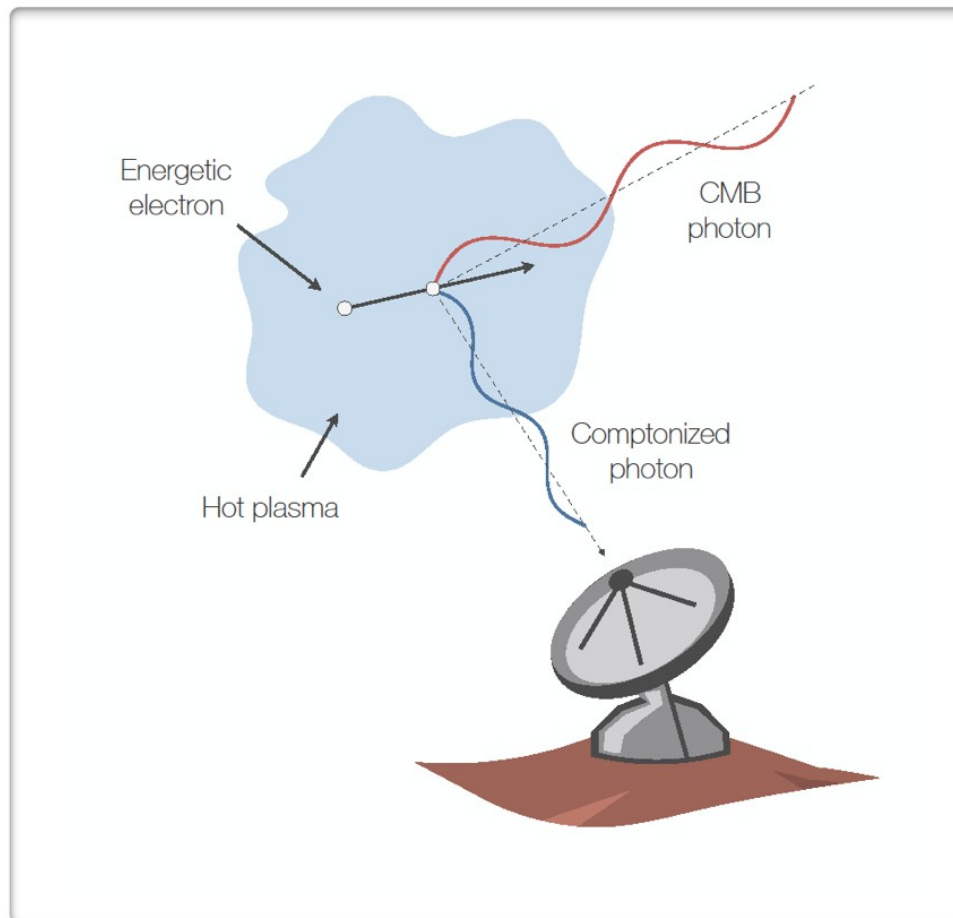
- Main principle : compare predicted and observed $N(M,z)$
- (Fairly) robust framework for predicting abundances ↔ “mass function” (Press & Schechter 1974 and “successors”)

Obstacles:

- Detecting/identifying clusters in data (what even *is* a cluster ??)
- Total mass is not an observable : proxies (temperature, richness, ...) & “scaling laws” required → no consensus on those laws

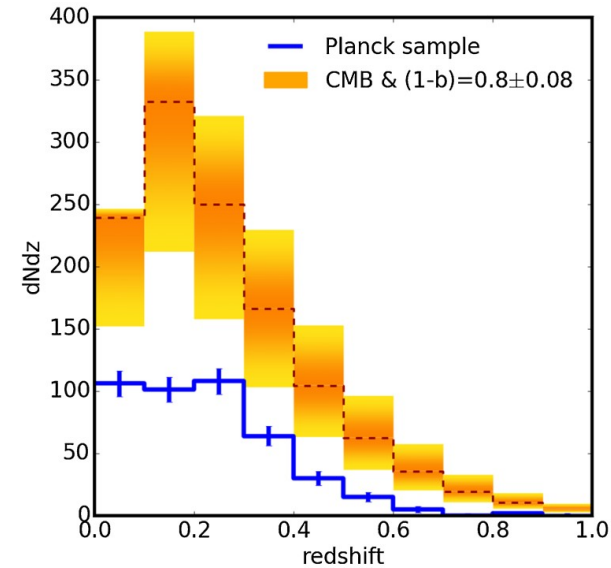
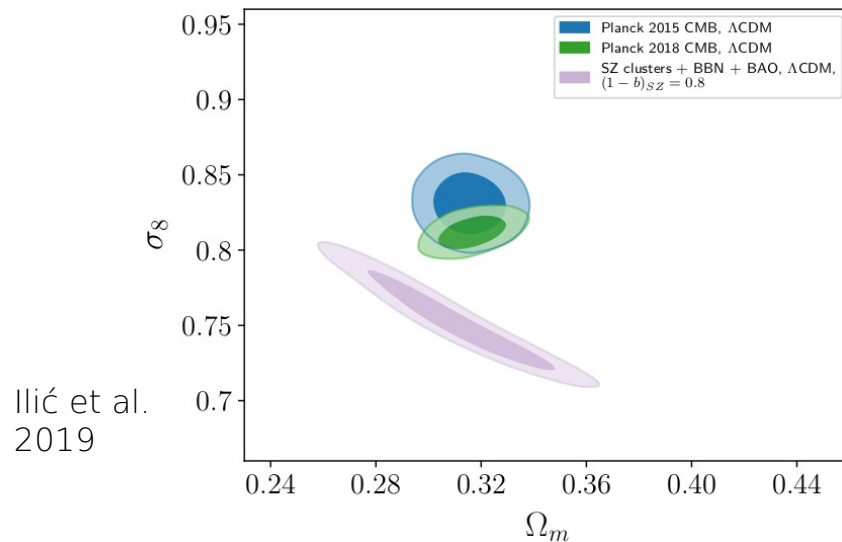
The curious case of Planck SZ clusters

Planck Sunyaev-Zel'dovich cluster sample :
439 clusters detected via their imprint in CMB T map



The curious case of Planck SZ clusters

SZ abundances in tension with CMB constraints...



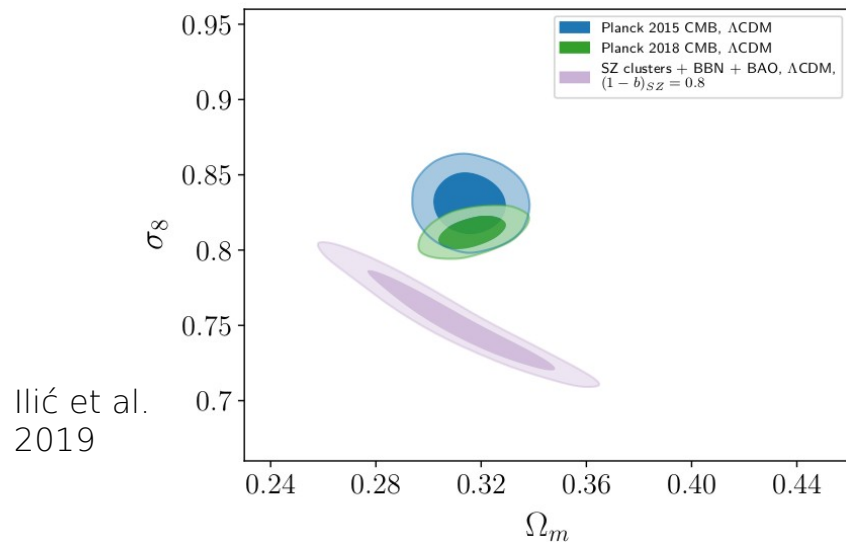
...but depends on crucial details of the analysis:

$$E^{\beta}(z) \left[\frac{D_A^2(z) \bar{Y}_{500}}{10^{-4} \text{ Mpc}^2} \right] = Y_* \left[\frac{h}{0.7} \right]^{-2+\alpha} \left[\frac{(1-b) M_{500}}{6 \times 10^{14} M_{\odot}} \right]^{\alpha} + 1$$

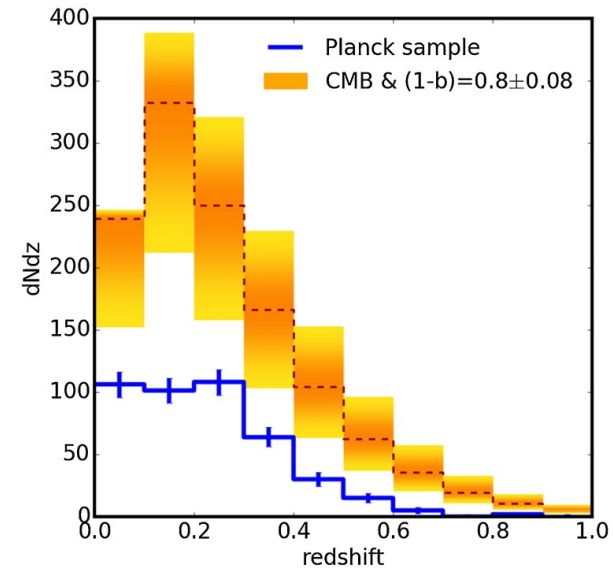
SZ scaling law
 established by X-ray observations
 assuming hydrostatic equilibrium : fiducial $(1-b) = 0.8$

The curious case of Planck SZ clusters

SZ abundances in tension with CMB constraints...

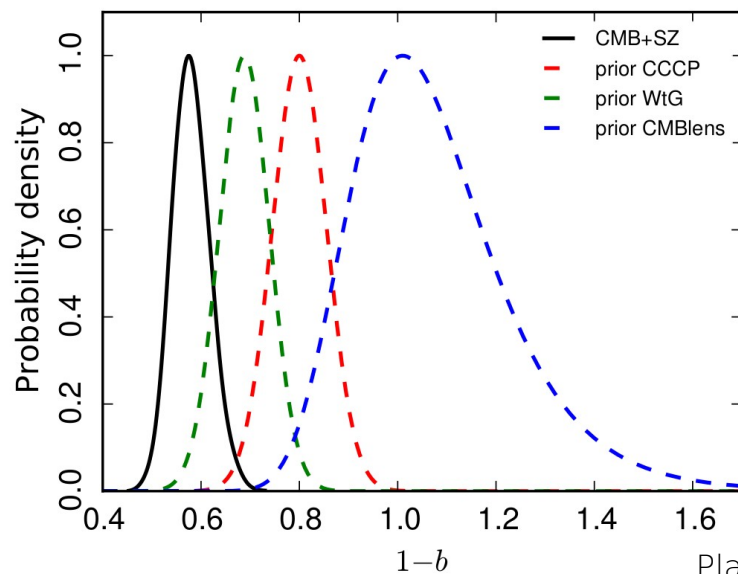


Ilić et al.
2019

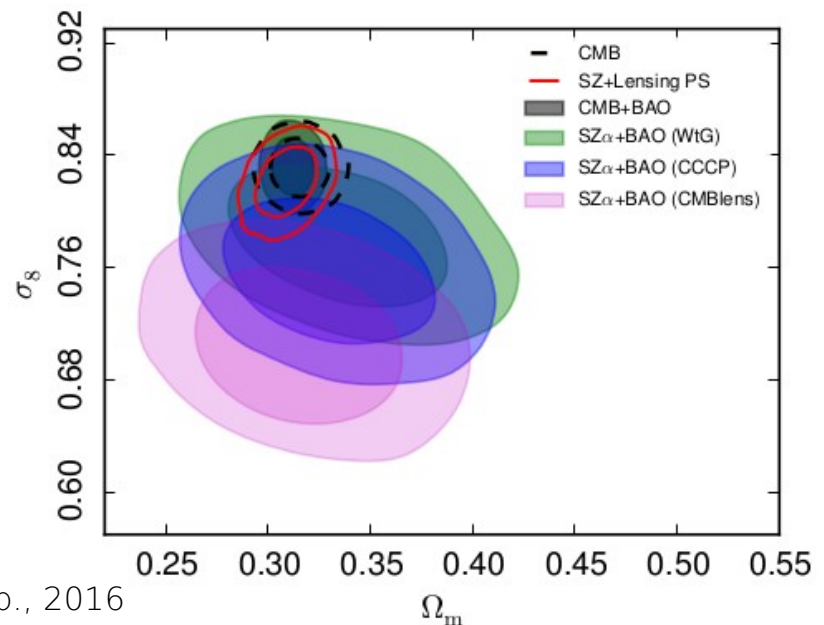


Salvati et al.
2018

...but depends on crucial details of the analysis:

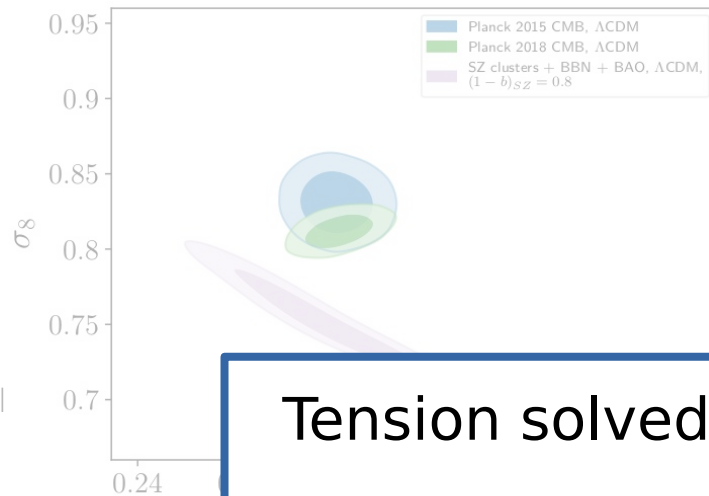


Planck collab., 2016

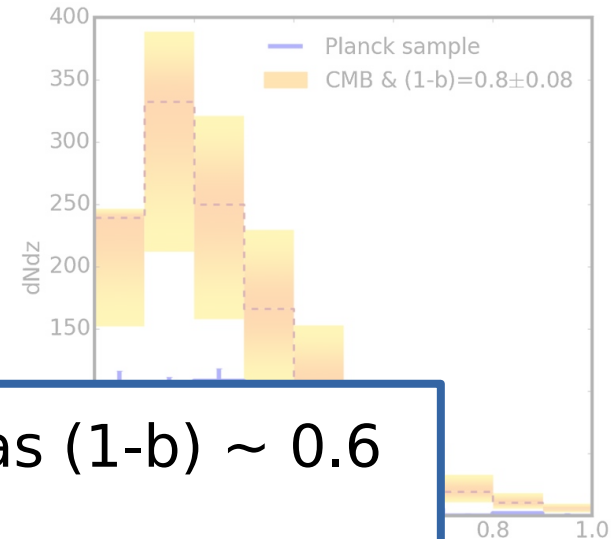


The curious case of Planck SZ clusters

SZ abundances in tension with CMB constraints...



Ilić et al.
2019

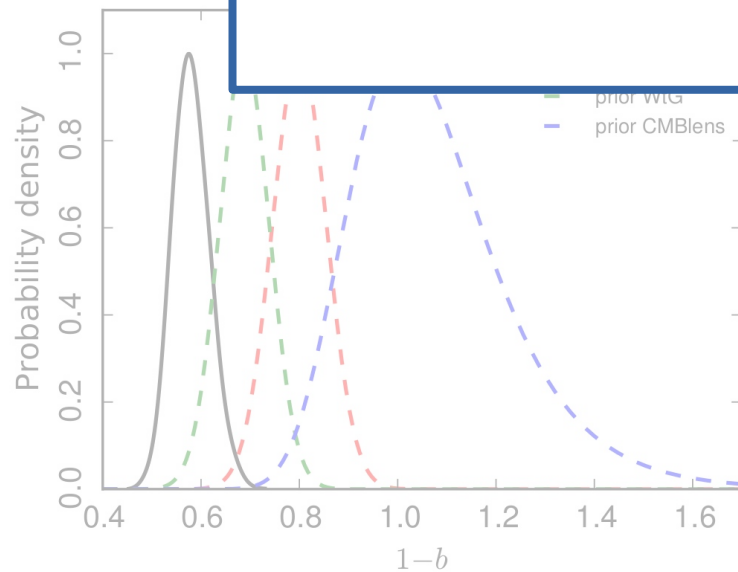


Salvati et al.
2018

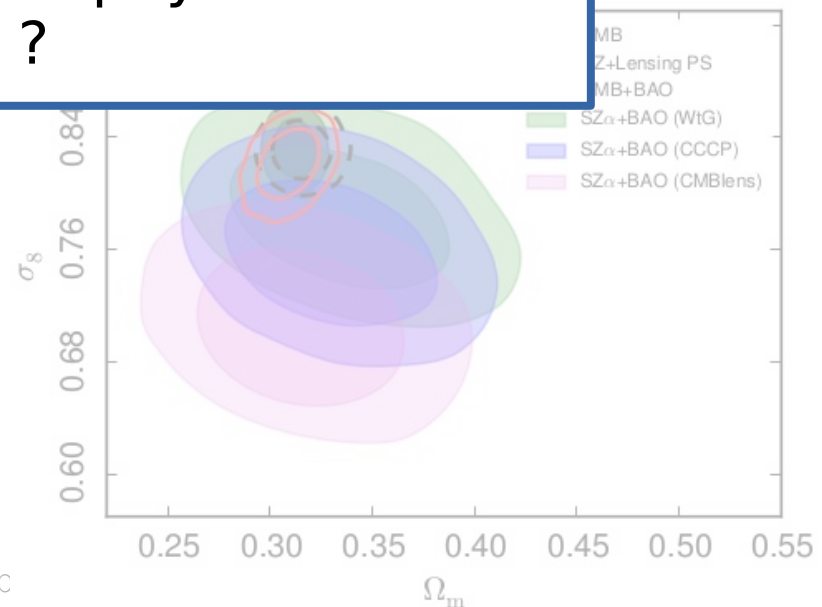
Tension solved if mass bias $(1-b) \sim 0.6$

→ Problem with cluster mass calibration
...or signs of new physics ?
...or ?

...but depend



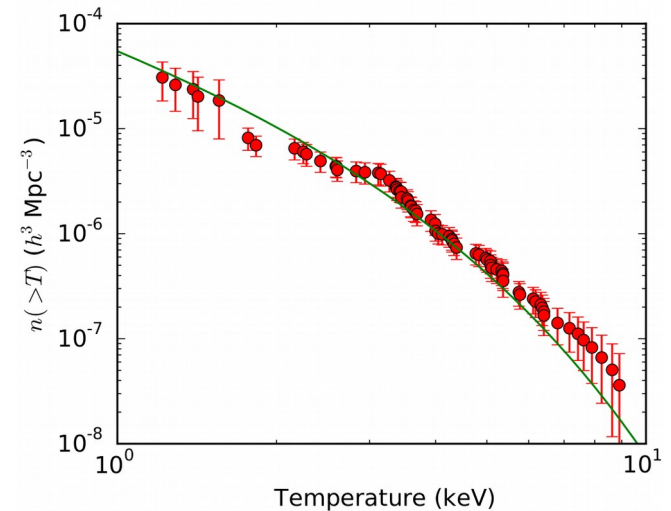
rick collab



An independent local X-ray sample

Ilić, Blanchard, Douspis, 2015, A&A :

- Built robust, flux-limit sample of ~80 local X-ray clusters ($z < 0.1$)
- Constructed an observed local $N(T)$



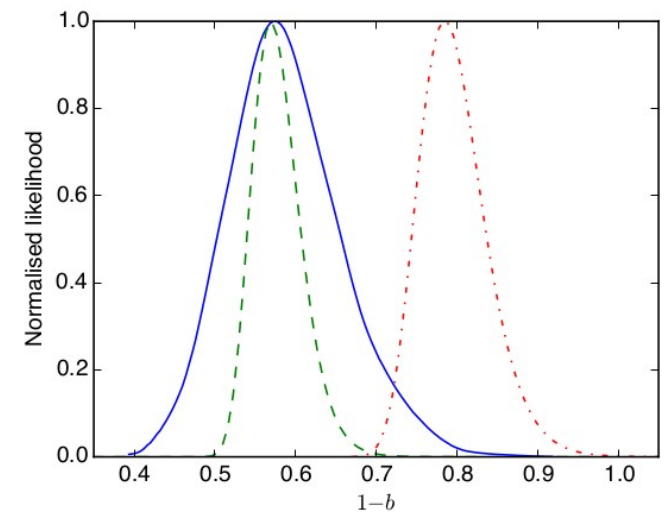
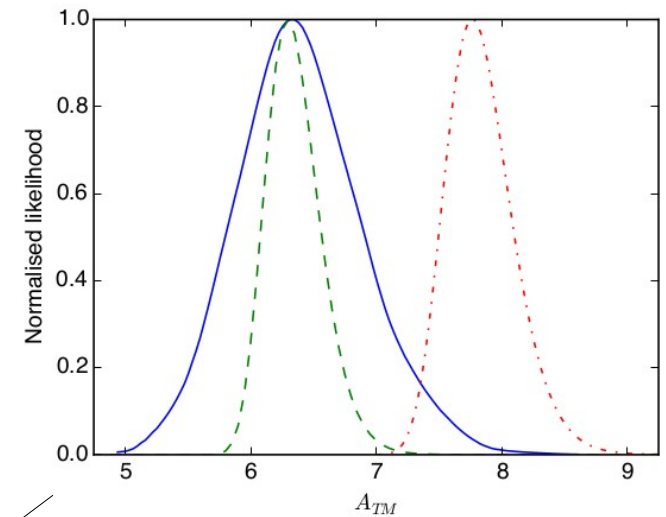
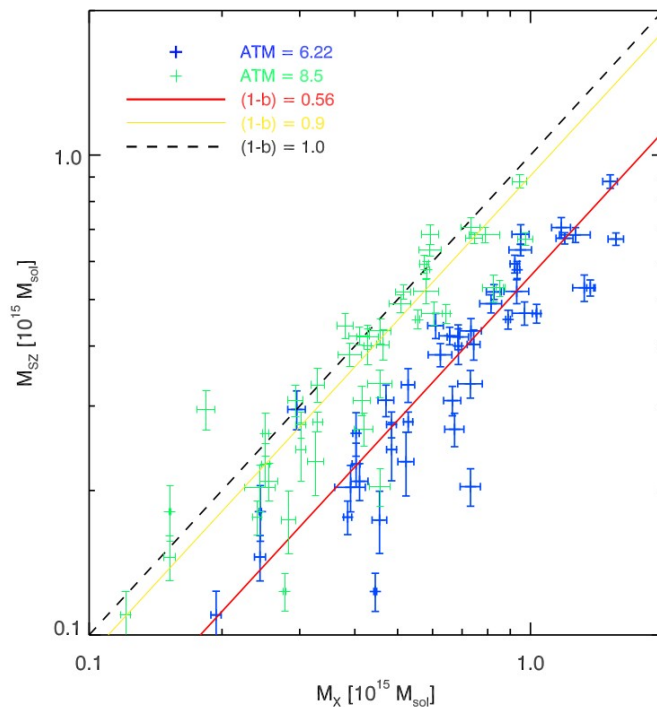
Cosmological analysis :

- T_x -M scaling law with simple assumptions (viral theorem + cluster definition)
$$T = A_{T-M} (h M_{\Delta})^{2/3} \left(\frac{\Omega_m \Delta(z)}{178} \right)^{1/3} (1+z)$$
- New likelihood module in CosmoMC + CMB data
- Calibration/amplitude is left free
→ New parameter in the cosmological analysis,
“let the data decide what it prefers”

An independent local X-ray sample

Results :

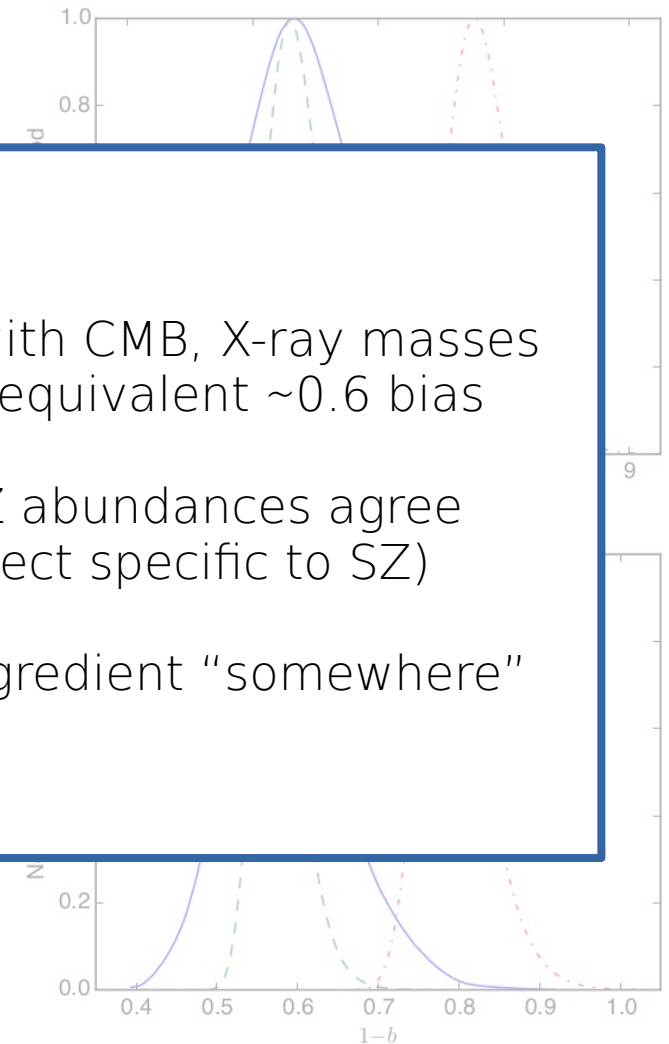
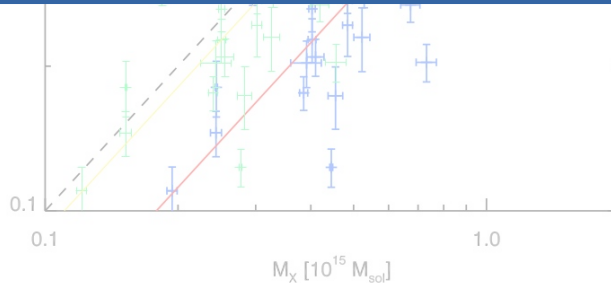
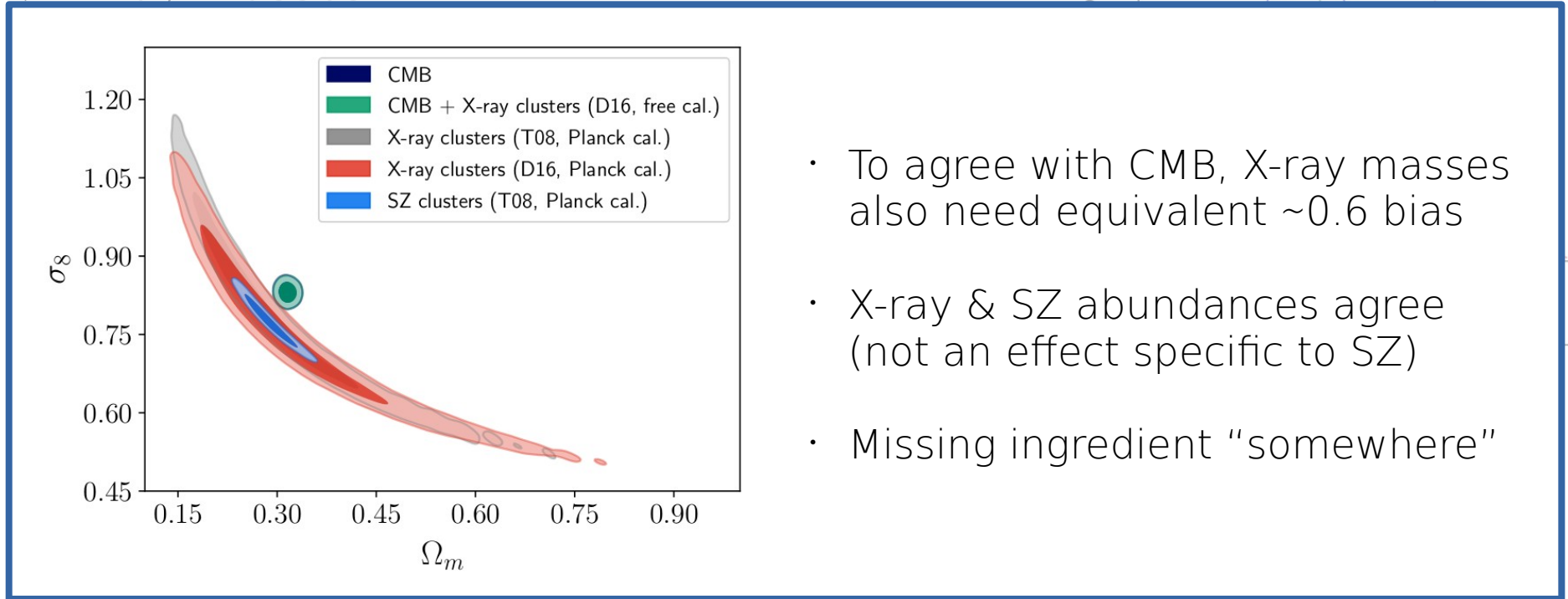
- Posterior distribution for A_{T-M} calibration $\Leftrightarrow$ X-ray masses
- Subset of clusters both in X-ray and SZ $\rightarrow$ derive equivalence between A_{T-M} and $(1-b)$



An independent local X-ray sample

Results :

- Posterior distribution for calibration
 $\Leftrightarrow$ X-ray masses



Revisiting the Planck SZ sample

Ilić, Sakr, Blanchard, 2018 & 2019, A&A :

- Reanalysis of SZ (& X-ray) clusters sample in broader cosmological context
- Same philosophy : calibration(s) as free parameters, let CMB + Clusters decide what they prefer
- Two extensions to Λ CDM explored:

$$\sum m_\nu \neq 0$$

Massive neutrinos

$$f(= \frac{d \ln D}{d \ln a}) = [\Omega_m(a)]^\gamma$$

$$\gamma \neq 6/11$$

Phenomenological
modification of gravity

Revisiting the Planck SZ sample

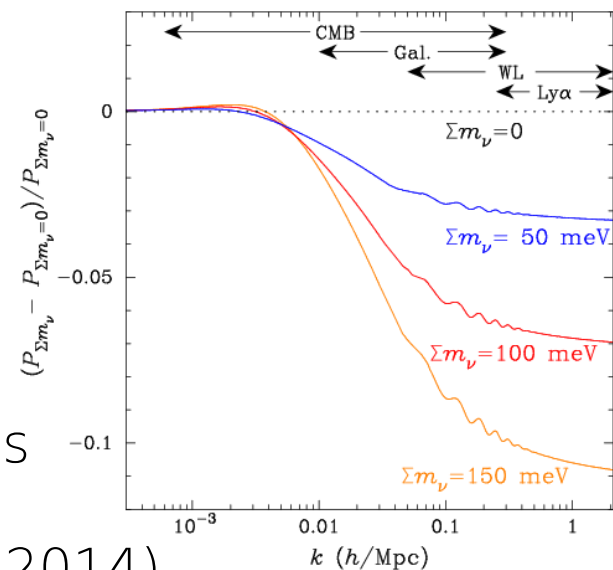
Ilić, Sakr, Blanchard, 2018 & 2019, A&A :

- Reanalysis of SZ (& X-ray) clusters sample in broader cosmological context

- **Neutrinos** : damping of matter fluctuations $\rightarrow$ lower σ_8
- Implemented in our pipeline at Boltzmann code level (CAMB)
- Additional ingredient : amended mass function ("neutrinos prescription", cf. Costanzi et al. 2013; Castorina et al. 2014)

$$T_{\text{cdm}+\text{b}+\nu} \longrightarrow T_{\text{cdm}+\text{b}}$$

$$\rho_{\text{cdm}+\text{b}+\nu} \longrightarrow \rho_{\text{cdm}+\text{b}}$$



Massive neutrinos

Phenomenological
modification of gravity

Revisiting the Planck SZ sample

Ilić, Sakr, Blanchard, 2018 & 2019, A&A :

- Reanalysis of SZ (& X-ray) clusters sample in broader cosmological context
- Simple **modification of growth rate** of structures at late times
- “gamma” parametrisation not appropriate for CMB
- Implemented in the mass function (only) at power spectrum level

$$P_{\text{m,MG}}(k, z, \gamma) = P_{\text{m}}(k, z) \left(\frac{D(z_*)}{D(z)} \frac{D_{\text{MG}}(z, \gamma)}{D_{\text{MG}}(z_*, \gamma)} \right)^2$$

Massive neutrinos

Phenomenological
modification of gravity

Revisiting the Planck SZ sample

Ilić, Sakr, Blanchard, 2018 & 2019, A&A :

- Reanalysis of SZ (& X-ray) clusters sample in broader cosmological context
- Same philosophy : calibration(s) as free parameters, let CMB + Clusters decide what they prefer
- Two extensions to LCDM explored:

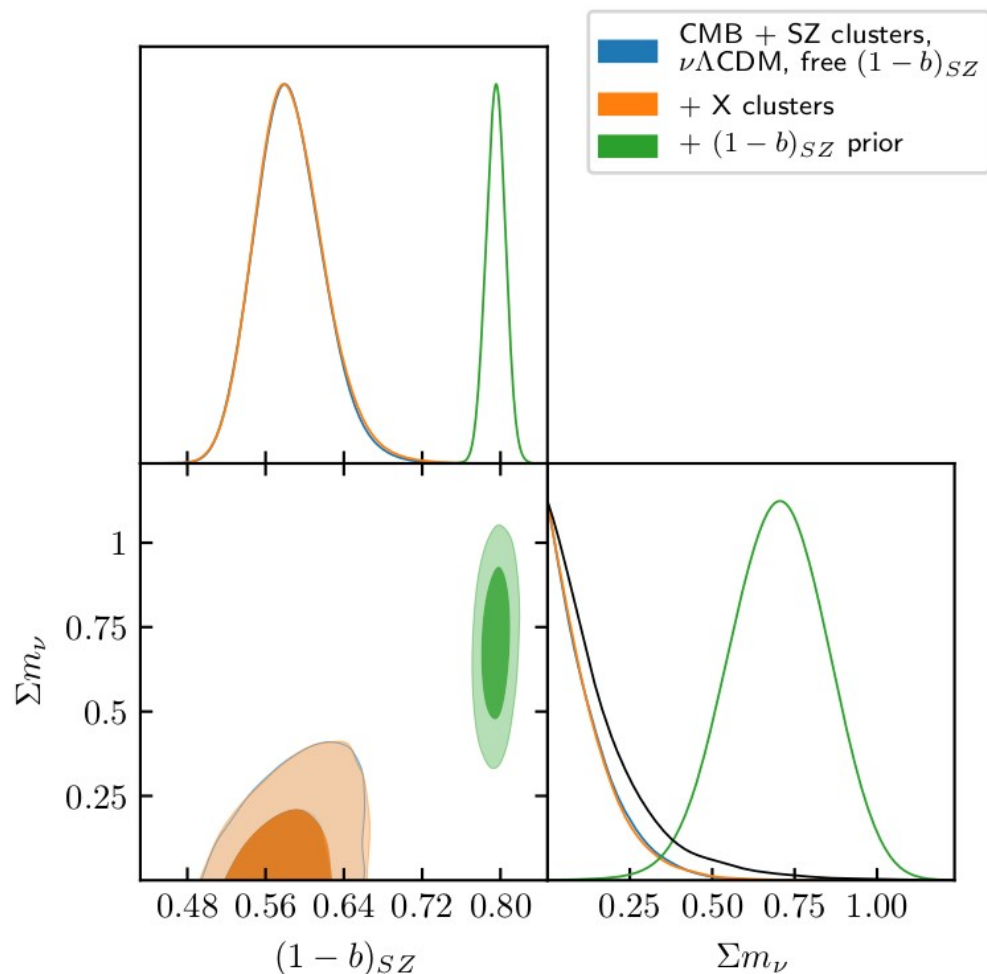
$$\sum m_\nu \neq 0$$

$$f(= \frac{d \ln D}{d \ln a}) = [\Omega_m(a)]^\gamma$$
$$\gamma \neq 6/11$$

What happens to our previous conclusions in these new contexts ?

Revisiting the Planck SZ sample

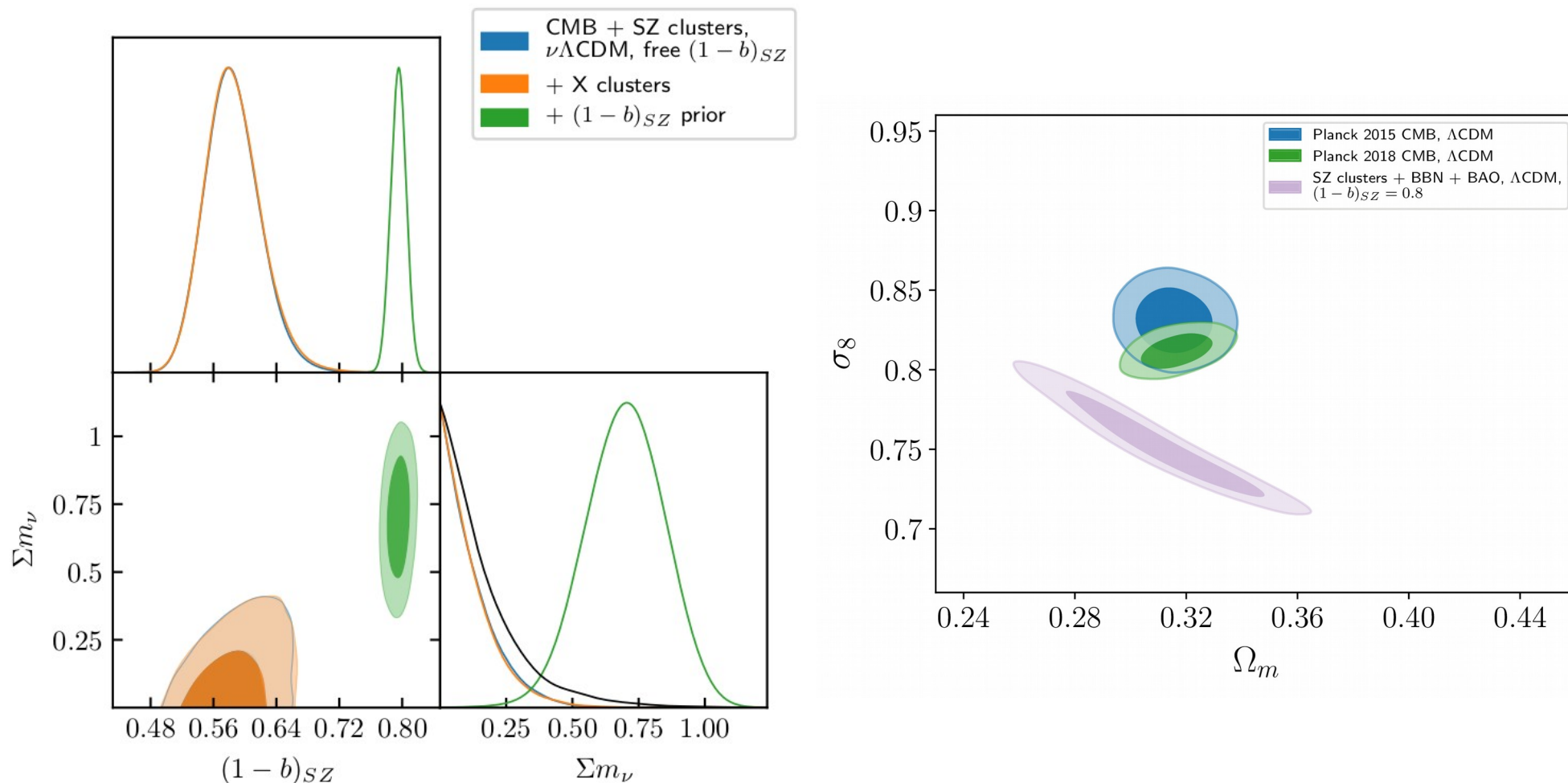
Massive neutrinos as a solution to the tension :



- No correlation between calibration and neutrinos masses
- $(1-b) \sim 0.6$ still favored
- $(1-b) \sim 0.8$ yields very large neutrino masses

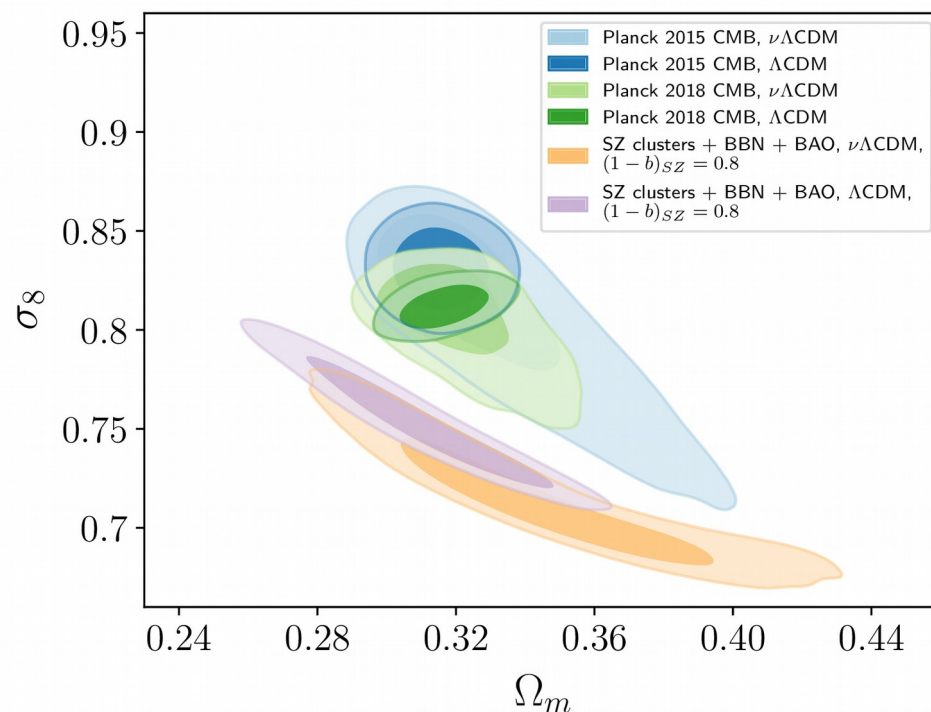
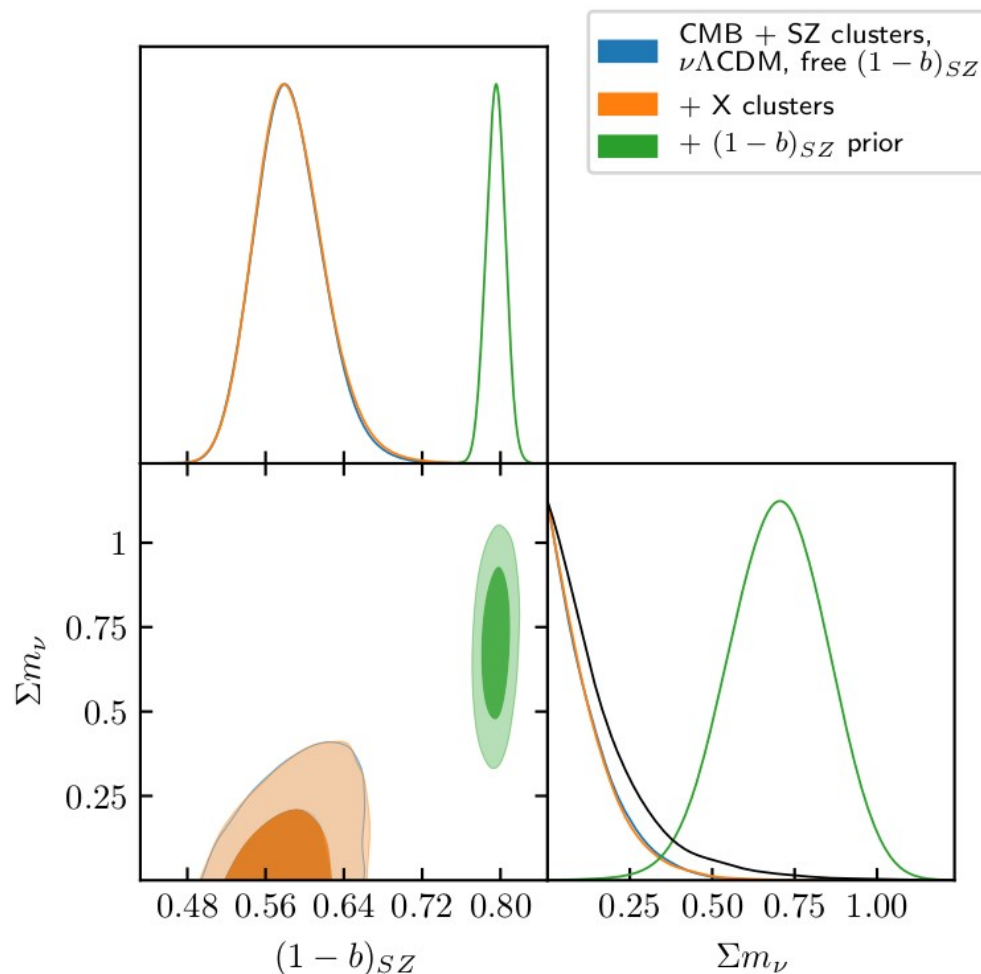
Revisiting the Planck SZ sample

Massive neutrinos as a solution to the tension :



Revisiting the Planck SZ sample

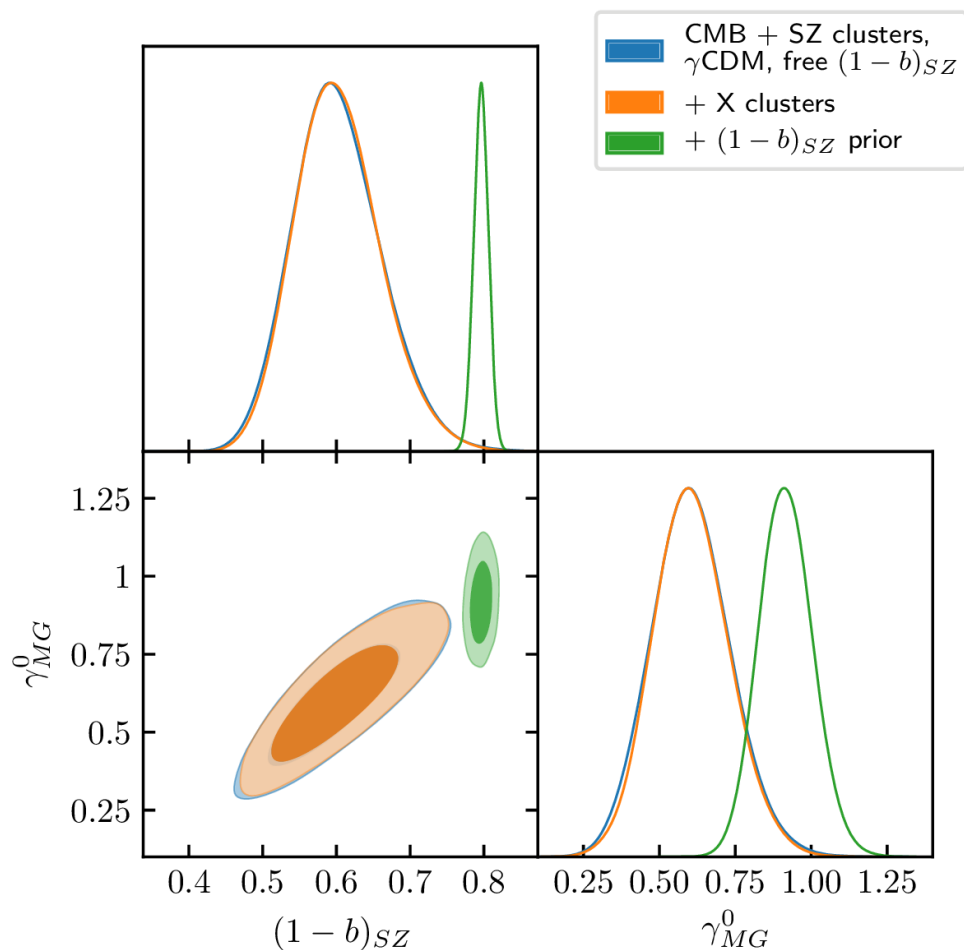
Massive neutrinos as a solution to the tension :



Massive neutrinos do not solve the tension

Revisiting the Planck SZ sample

Phenomenological modification of gravity as a solution :

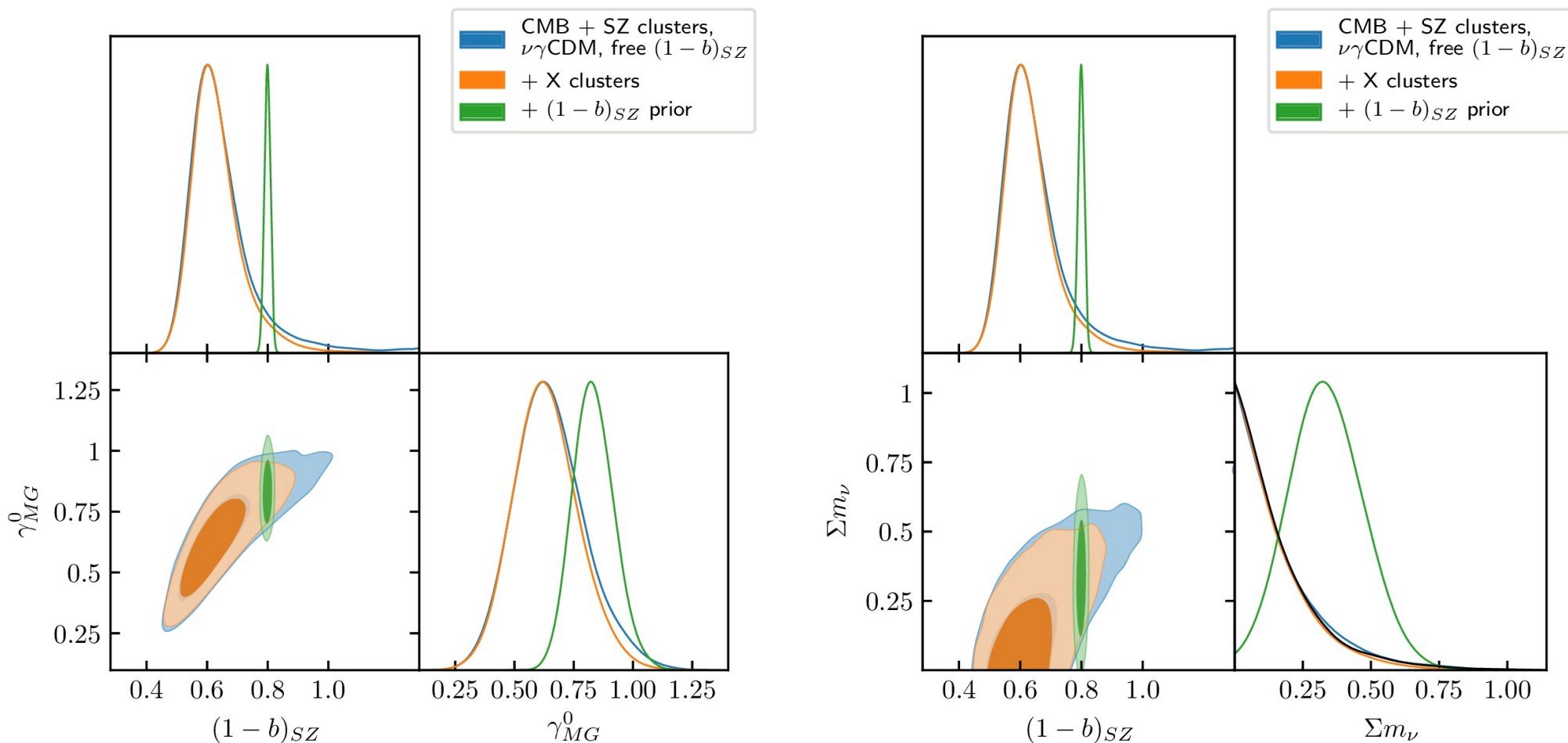


- Strong correlation between calibration and gamma
- $(1-b) \sim 0.6$ still favored
- $(1-b) \sim 0.8$ yields large unrealistic gamma

Revisiting the Planck SZ sample

Phenomenological modification of gravity as a solution :

+ massive neutrinos



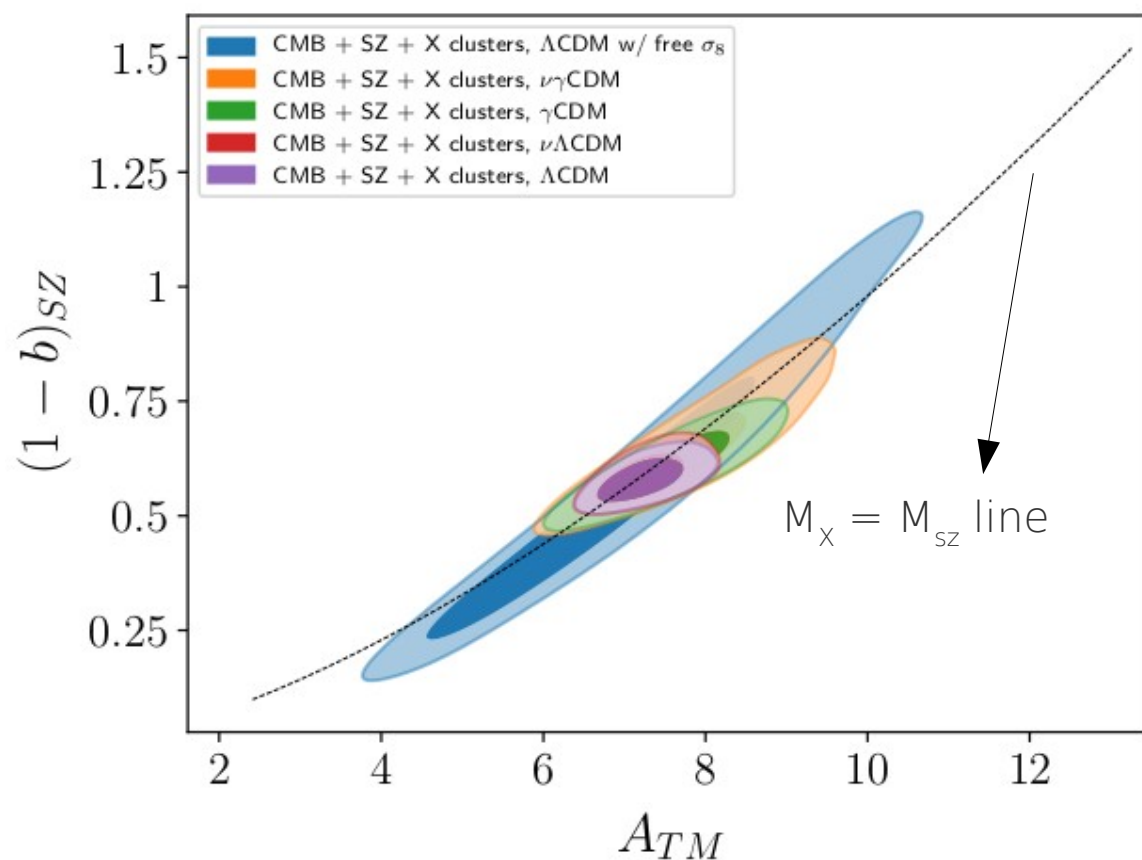
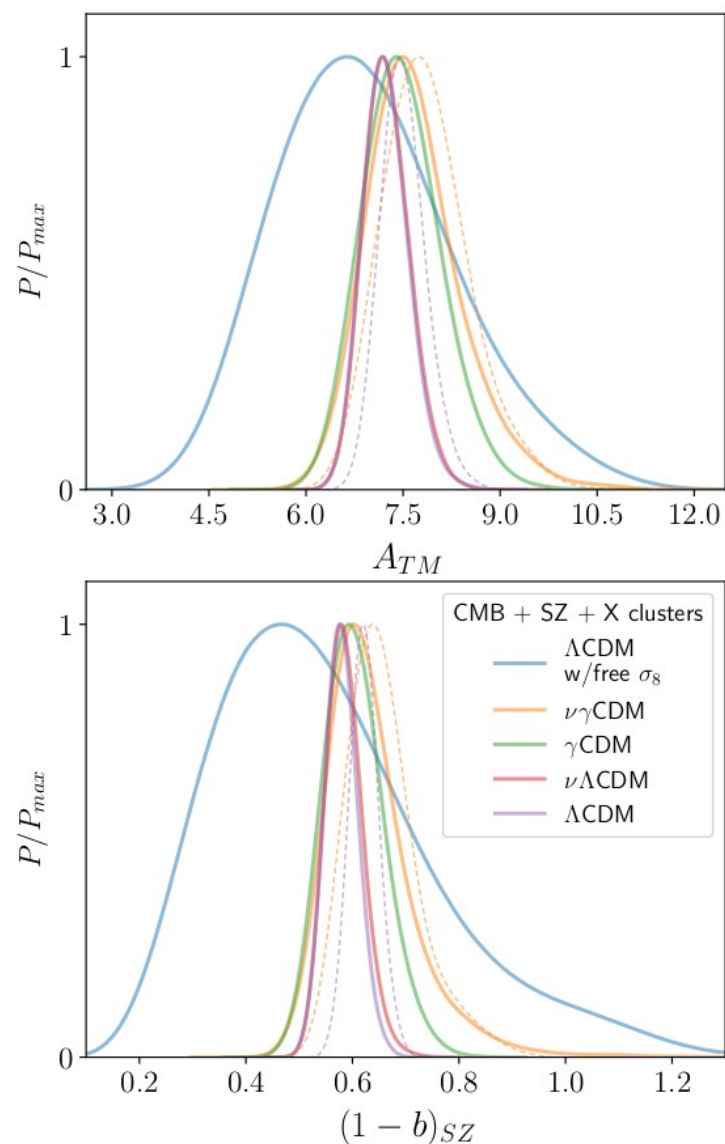
Standard calibration compatible only at the >2 sigma level
(but with significant deviation from standard cosmology)

Revisiting the Planck SZ sample

Additional “model” : free σ_8 via rescaling of late $P(k,z)$

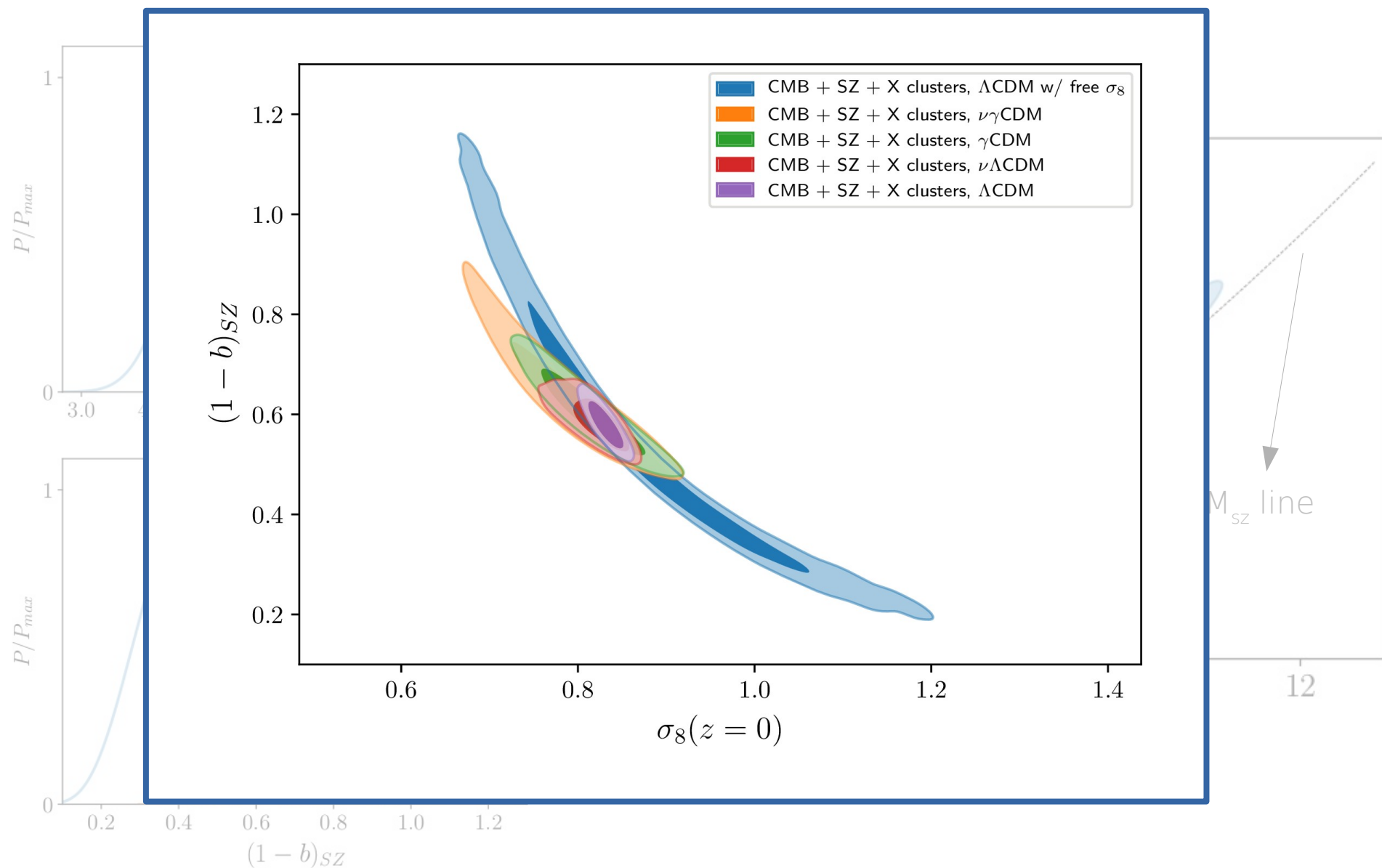
Revisiting the Planck SZ sample

Additional “model” : free σ_8 via rescaling of late $P(k,z)$



Revisiting the Planck SZ sample

Additional “model” : free σ_8 via rescaling of late $P(k,z)$



Conclusions and perspectives

Conclusions :

- Remarkable **consistency** across all cosmological scenarios and clusters samples considered
- Non-standard calibration $(1-b) \sim 0.6$ **observationally preferred**
- Neutrinos cannot solve the CMB-Clusters tension
- If standard calibration $(1-b) \sim 0.8$ confirmed, **significant departure from Λ CDM required**

Perspectives :

- New surveys (Euclid, LSST) $\rightarrow$ increased statistics, deeper samples
- New mass calibration opportunities (lensing measurements)
- Application of machine learning techniques ?

Thank you
for your attention !