

MORIOND Electroweak 2010

Theory Summary

Belen Gavela

UAM (Univ. Autónoma de Madrid) and IFT

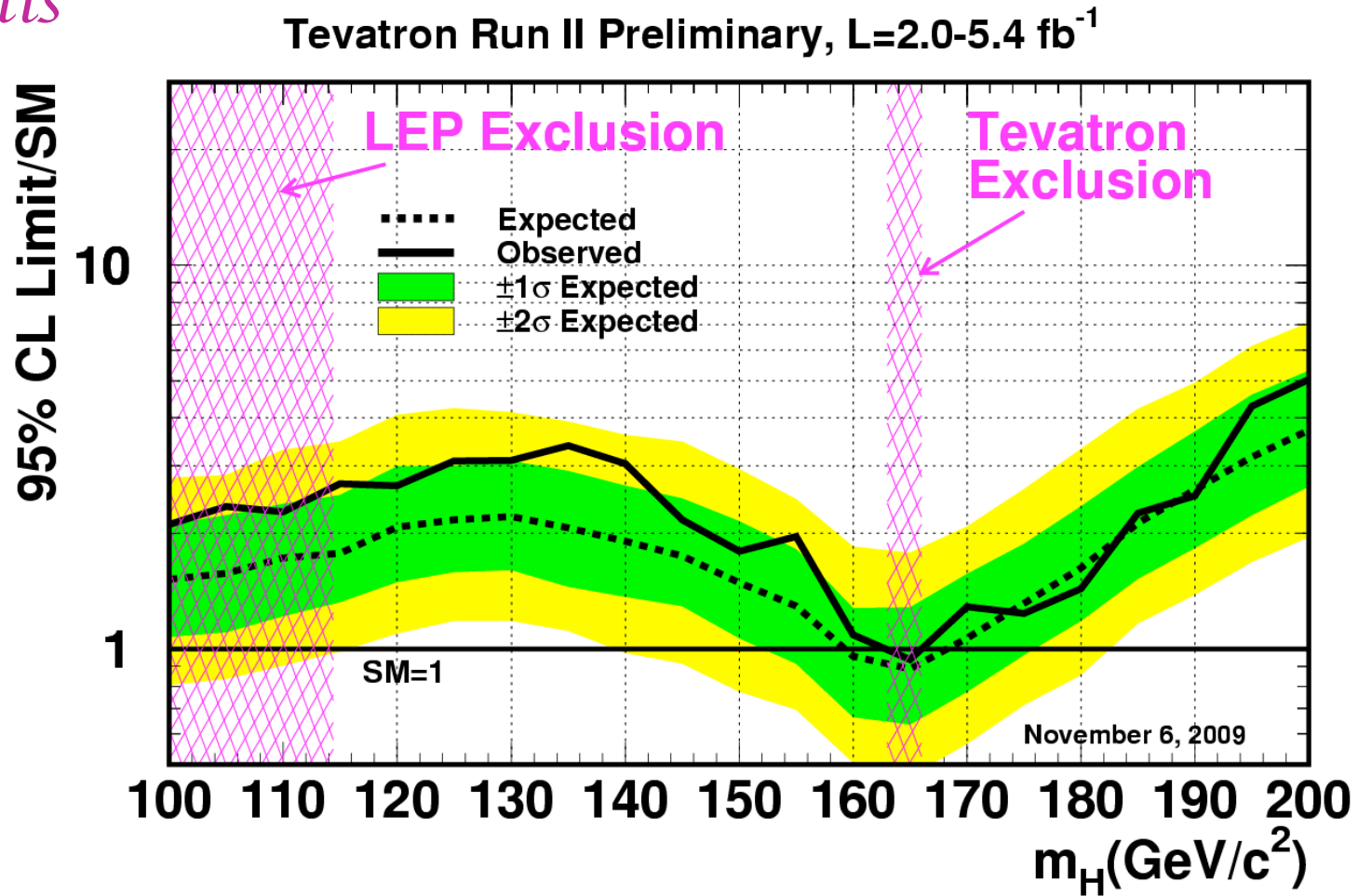
*The happiness
in the air
of the LHC era*

... as we are almost “touching” the Higgs

The LHC & Tevatron may not be the only places in the universe where the Higgs is being produced today

Servant

St. Denis



SM Sensitivity:
159-169 GeV/c^2 !

SM Exclusion:
162-166 GeV/c^2 !

*The happiness
in the air
of the LHC era*

... as we are almost “touching” the vacuum
quantum numbers

$$\text{SU}(3) \times \text{SU}(2) \times \text{U}(1) \times \text{classical gravity}$$

We ~understand ordinary particles= excitations over the vacuum

We DO NOT understand the vacuum = state of lowest energy:

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•The **gravity** vacuum: cosmological cte. Λ , $\Lambda \sim 10^{-123} M_{\text{Planck}}^4$

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- * The **electroweak** vacuum: Higgs-mass, v.e.v. $\sim O(100) \text{ GeV}$

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The Higgs excitation has the quantum numbers of the EW vacuum

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We ~understand ordinary particles= excitations over the vacuum

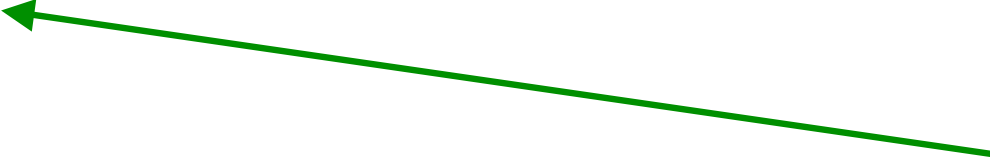
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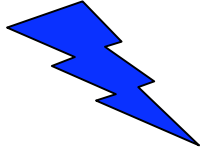
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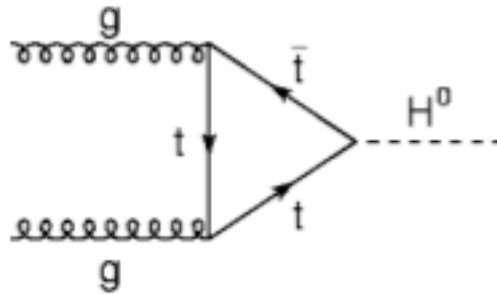
The (Tevatron->) LHC era will allow us to explore it





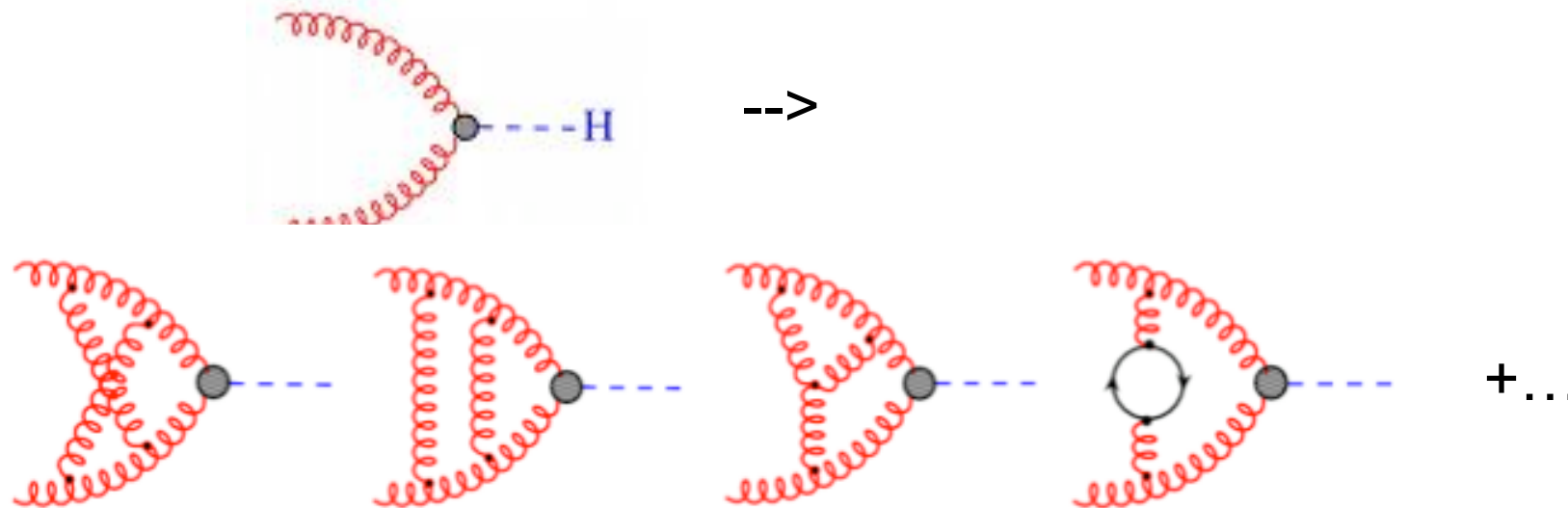
The state of the art on our control
of the SM predictions

Effective theory for gluon fusion



The effective theory in the infinite m_{top} limit matches finite m_{top} at %level

NNLO



Two-loop diagrams contributing to the process $gg \rightarrow H$.

Are QCD corrections to gg fusion under control?

Harlander : **YES**

Latest compilations¹

Work for theorists

- NLO [Dawson '91], [Spira, Djouadi, Graudenz, Zerwas '91-'95]
→ **+110%** of LO
- NNLO [RH, Kilgore '02], [Anastasiou, Melnikov '02]
→ **+60%** of LO (**30%** of NLO)
- soft gluon resummation (or $\mu_F = \mu_R = m_H/2$) → **+11%**
[Catani, de Florian, Grazzini, Nason '03]
- **electro-weak** → **+6%** of LO [Actis, Passarino, Sturm, Uccirati '08]
- π^2 resummation *not* included
- **PDFs**: MRST2006 → MSTW2008 → **-13%** (!)

[Anastasiou, Boughezal, Petriello '09], [de Florian, Grazzini '09]

Are QCD corrections to gg fusion under control?

Djouadi: **NO** because error in

Matching-scale (i.e. in truncation)

LARGE

Latest compilations¹

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scale
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Djouadi

PDF + $\Delta^{\text{exp}} \alpha_s + \Delta^{\text{th}} \alpha_s$ ----> **~20% Djouadi**

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Djouadi

NNLL

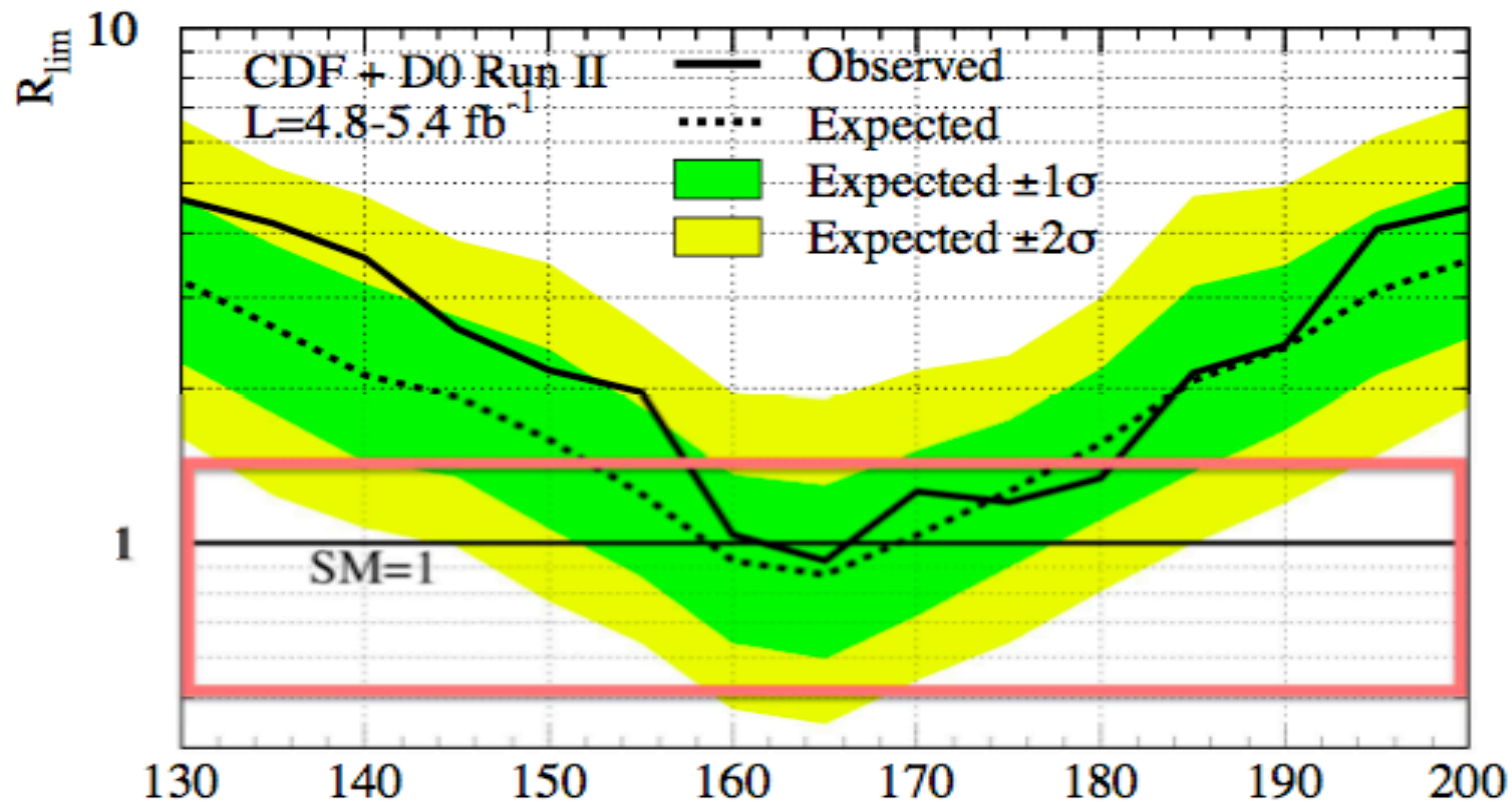
PDF + $\Delta^{\text{exp}} \alpha_s + \Delta^{\text{th}} \alpha_s \rightarrow \sim 20\%$ Djouadi

Djouadi:

How to combine errors?

- add scale and PDF not in quadrature
- exp+th error on α_s should be added
- no NLL (if including them, error goes down)

} adds
~40% error
for $M_H > 150$



95% CL CDF/D0 exclusion limit $162 \leq M_H \leq 166$ GeV **not credible ?**

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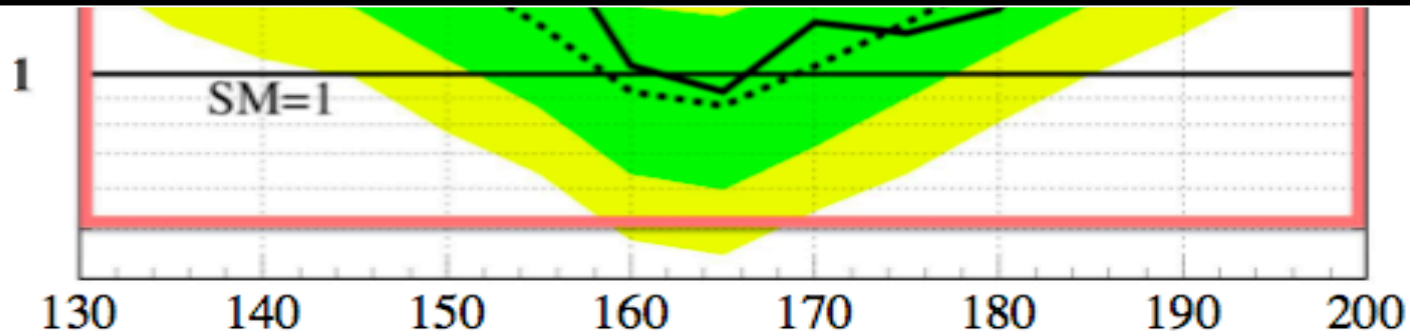
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too pessimistic ?



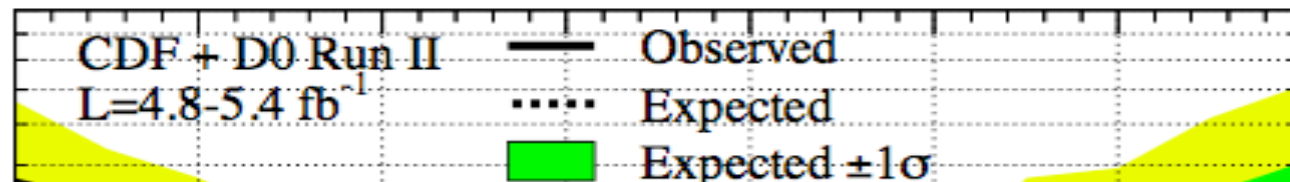
95% CL CDF/D0 exclusion limit $162 \leq M_H \leq 166 \text{ GeV}$ not credible ?

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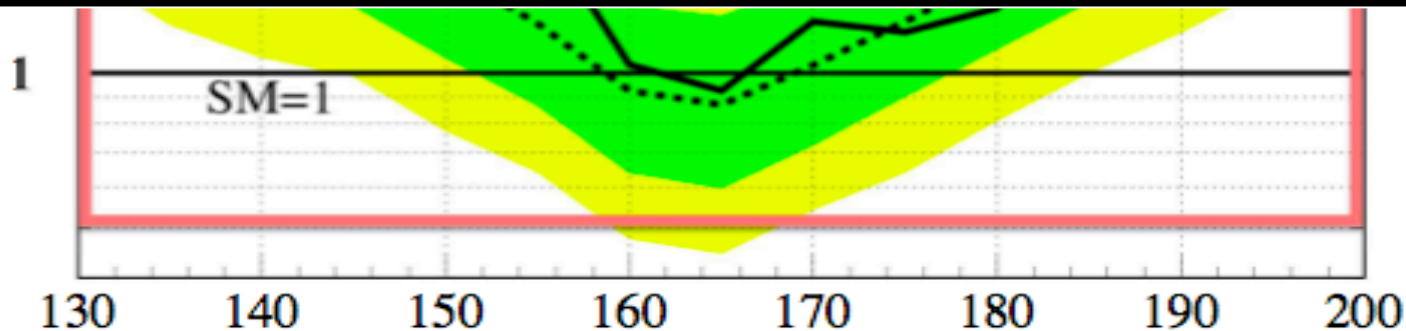
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And R_{lim}^{10}



Room for discussion



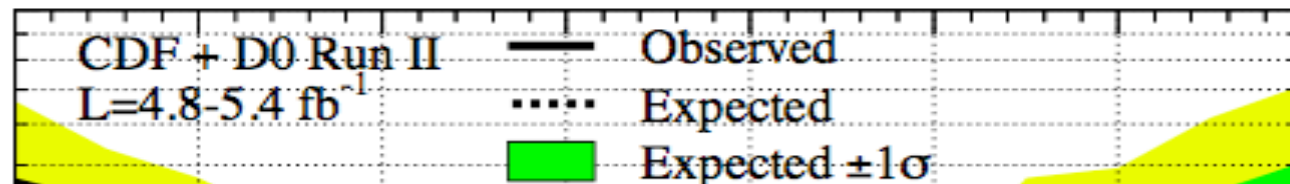
reconsider 95% CL CDF/D0 exclusion limit $162 \leq M_H \leq 166$ GeV. ?

How to combine errors?

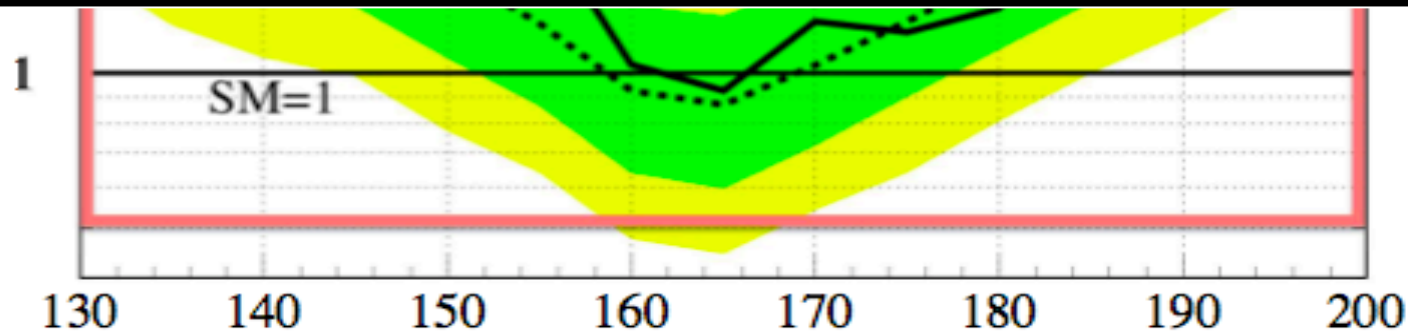
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Not an issue for LHC



reconsider 95% CL CDF/D0 exclusion limit $162 \leq M_H \leq 166$ GeV. ?

The mass of the top

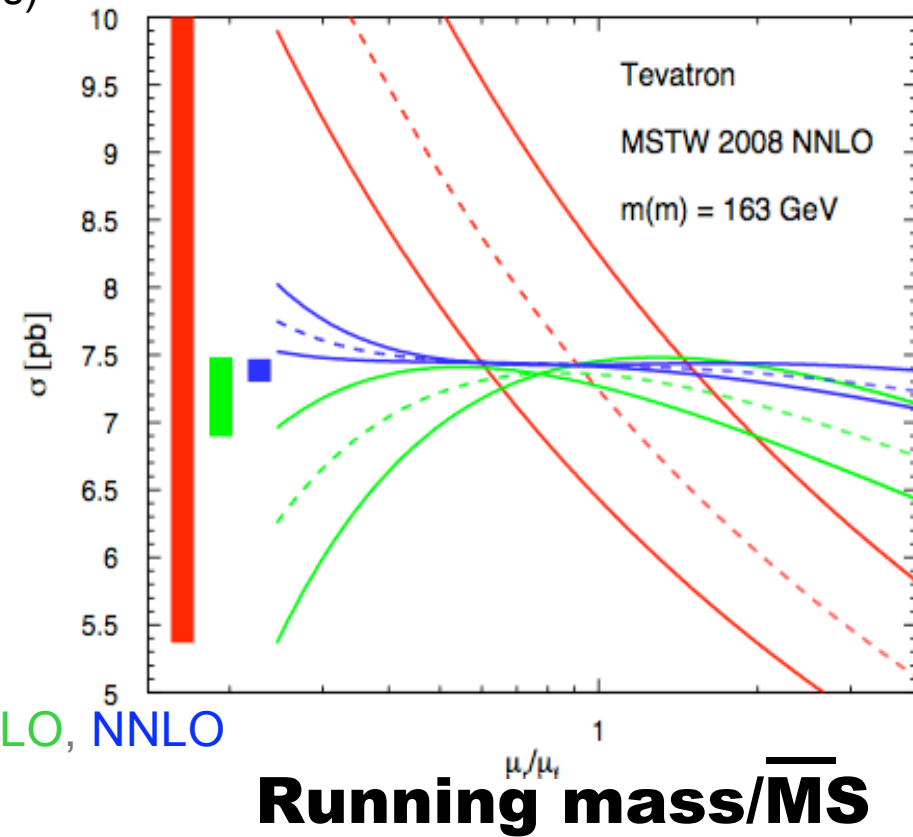
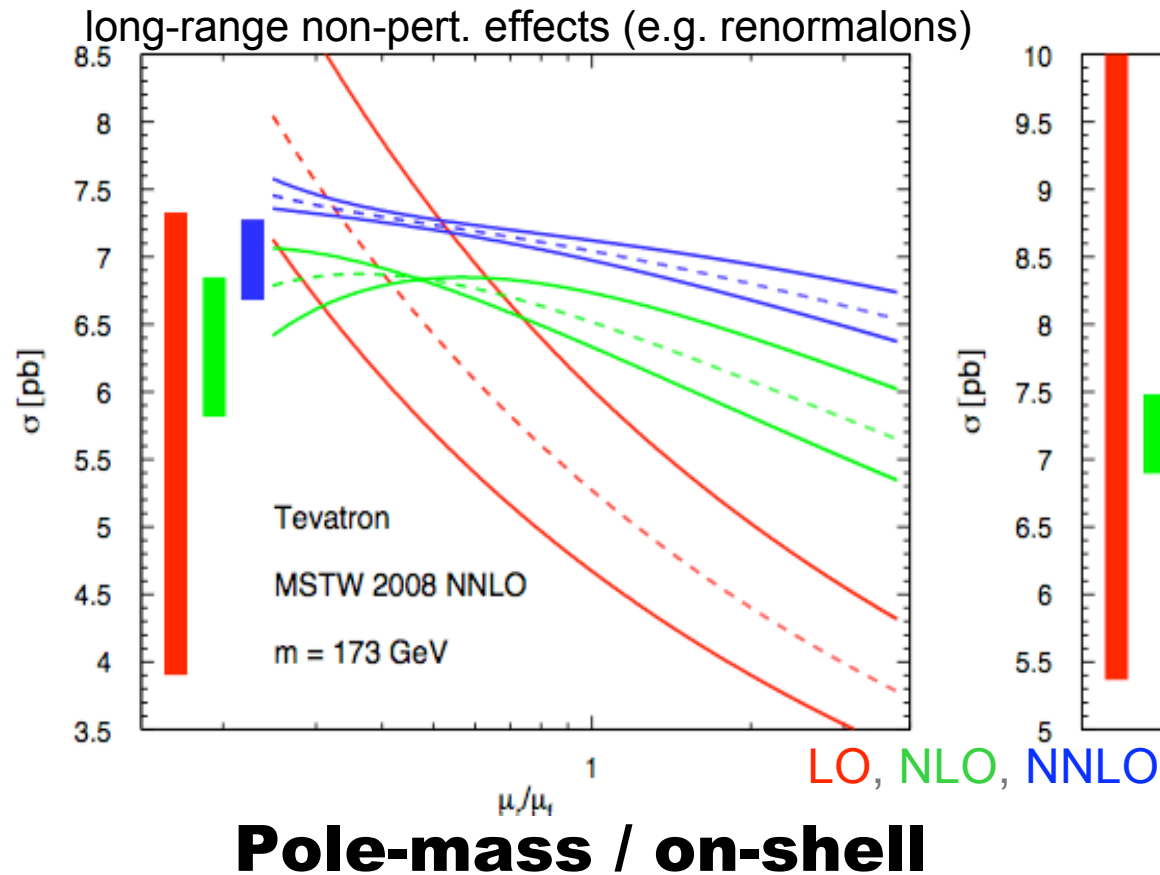
Direct determination of the $\overline{MS}$ top mass

Using **total cross section** as a function of m_{top}
to minimize non-perturbative effects

Uwer

- Include all threshold logarithms at 2-loop based on NNLL resummation + ...

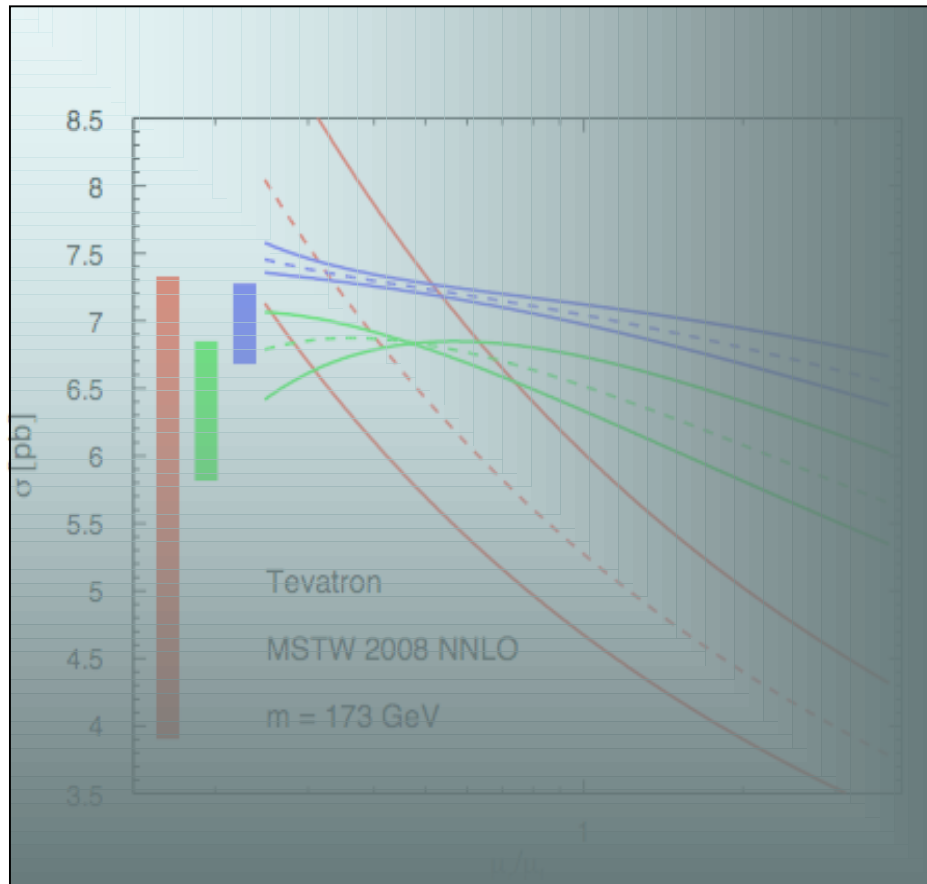
[Moch,P.U. 08]



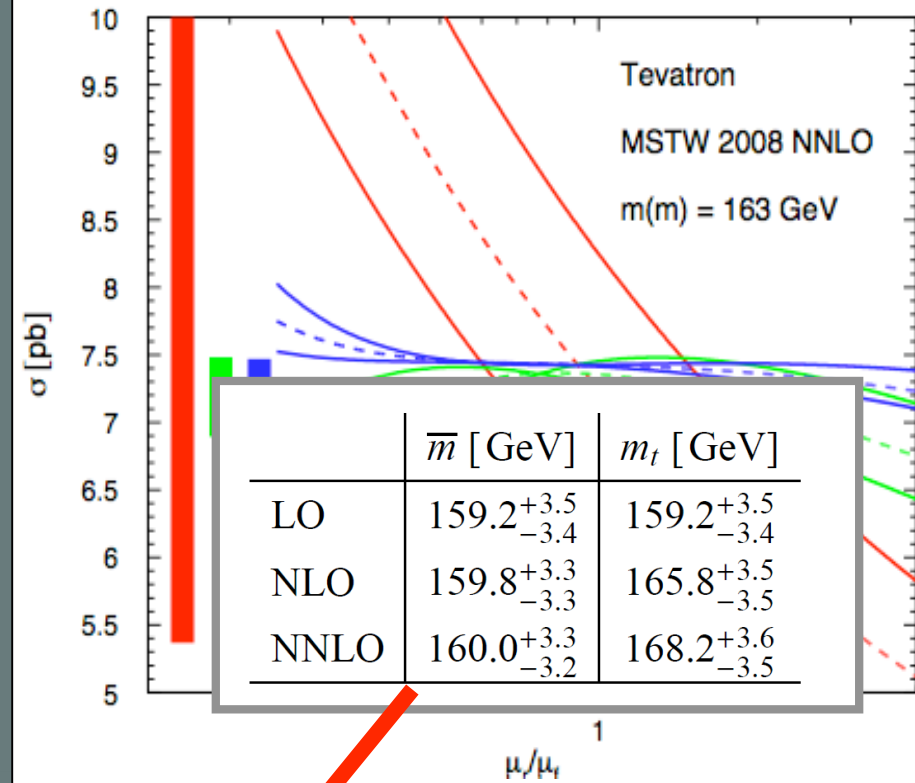
→ Perturbation theory better behaved !

Tevatron, D0

Uwer



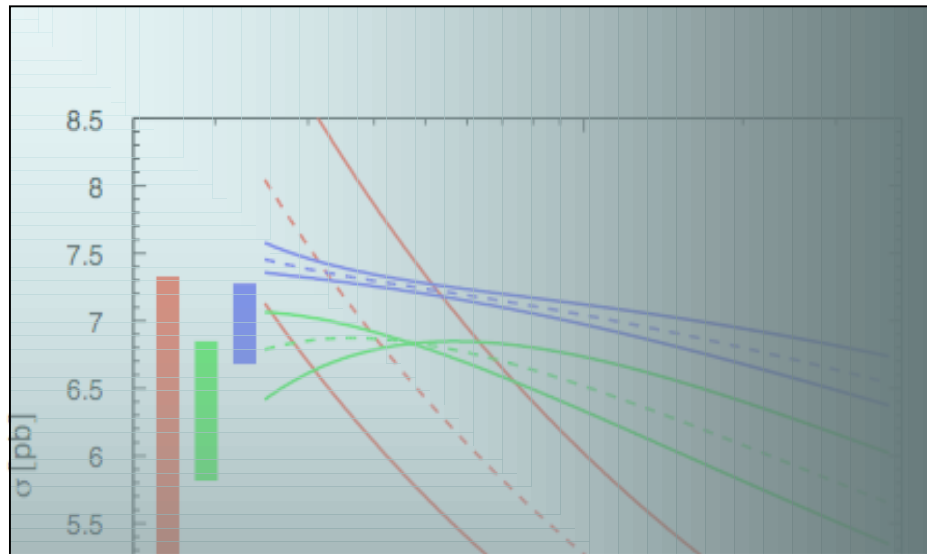
Running mass/MS



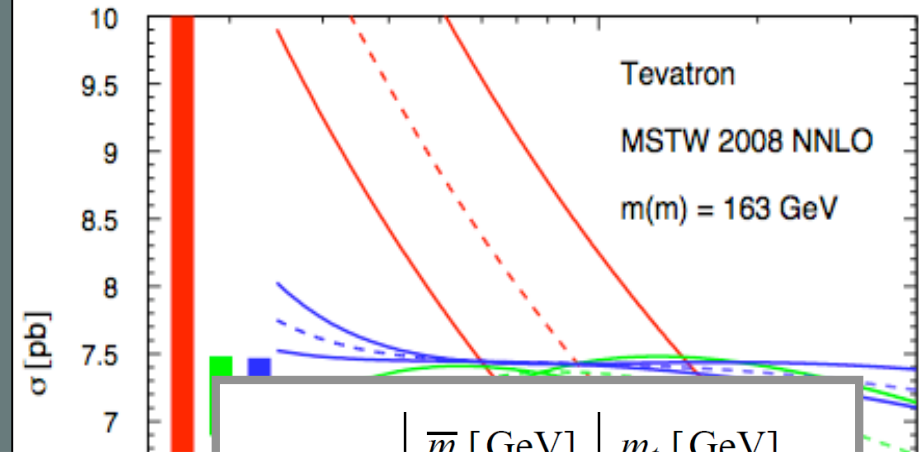
Pole-mass $m_t = 168.9^{+3.5}_{-3.4}$

Tevatron, D0

Uwer



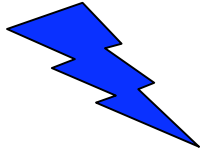
Running mass/MS



Similar results expected for LHC

Pole-mass $m_t = 168.9^{+3.5}_{-3.4}$

Tevatron, D0



Is the “Higgs signal” a SM Higgs ?

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* what QUANTUM NUMBERS? (spin, parity...) ?
pure state ?

* Even if it is a 0^+ , are COUPLING STRENGTHS as in SM?
i.e. SM Yukawa or gauge couplings?

..... and in a model independent way ?

Is the “Higgs signal” a SM Higgs?

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i.e. SM **Yukawa** or gauge couplings?

*i fermion masses may have
different origin than gauge boson masses*



..... and in a model independent way ?

Rauch :

Assume your signal is a scalar “Higgs”:
are its couplings SM ones?

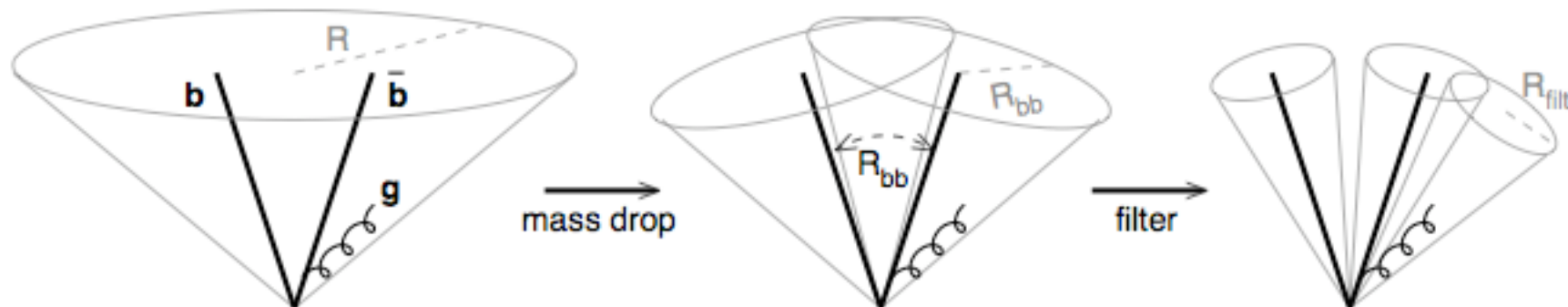
SM with deviations Δ_{ijH} allowed in Higgs coupling
(Yukawa's, gauge, effective Higgs-gg,...).

SM tree-level $\longrightarrow g_{jjH} \longrightarrow g_{jjH}^{\text{SM}} (1 + \Delta_{jjH})$

SM one-loop $\longrightarrow g_{jjH} \longrightarrow g_{jjH}^{\text{SM}} (1 + \Delta_{jjH}^{\text{SM}} + \Delta_{jjH})$

Light Higgs , $H \rightarrow b\bar{b}$

fat jets



Assume your signal is a scalar “Higgs”:
are its couplings SM ones?

Rauch : SM with deviations Δ_{ijH} allowed in Higgs coupling

Errors obtained by 10,000 toy experiments:

SM hypothesis, $m_H = 120 \text{ GeV}$, $\mathcal{L} = 30 \text{ fb}^{-1}$

Fit with Gaussian of the central part within one standard deviation

Light Higgs

	no eff. couplings			with eff. couplings			ratio Δ_{ijH}/WWH		
	σ_{symm}	σ_{neg}	σ_{pos}	σ_{symm}	σ_{neg}	σ_{pos}	σ_{symm}	σ_{neg}	σ_{pos}
Δ_{WWH}	± 0.23	-0.21	$+0.26$	± 0.24	-0.21	$+0.27$	—	—	—
Δ_{ZZH}	± 0.36	-0.40	$+0.35$	± 0.31	-0.35	$+0.29$	± 0.41	-0.40	$+0.41$
Δ_{ttH}	± 0.41	-0.37	$+0.45$	± 0.53	-0.65	$+0.43$	± 0.51	-0.54	$+0.48$
Δ_{bbH}	± 0.45	-0.33	$+0.56$	± 0.44	-0.30	$+0.59$	± 0.31	-0.24	$+0.38$
$\Delta_{\tau\tau H}$	± 0.33	-0.21	$+0.46$	± 0.31	-0.19	$+0.46$	± 0.28	-0.16	$+0.40$
$\Delta_{\gamma\gamma H}$	—	—	—	± 0.31	-0.30	$+0.33$	± 0.30	-0.27	$+0.33$
Δ_{ggH}	—	—	—	± 0.61	-0.59	$+0.62$	± 0.61	-0.71	$+0.46$
m_H	± 0.26	-0.26	$+0.26$	± 0.25	-0.26	$+0.25$			
m_b	± 0.071	-0.071	$+0.071$	± 0.071	-0.071	$+0.072$			
m_t	± 1.00	-1.03	$+0.98$	± 0.99	-1.00	$+0.98$			

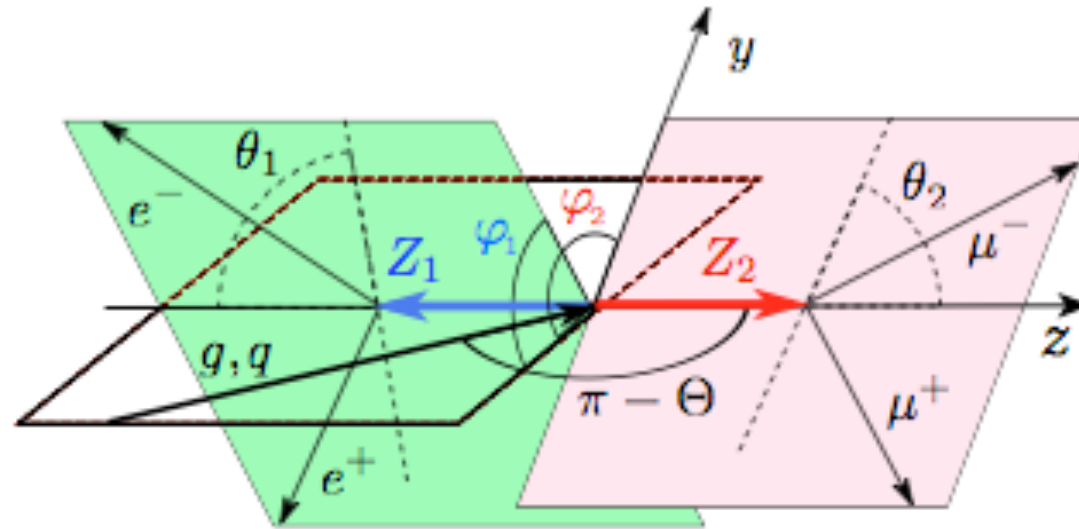
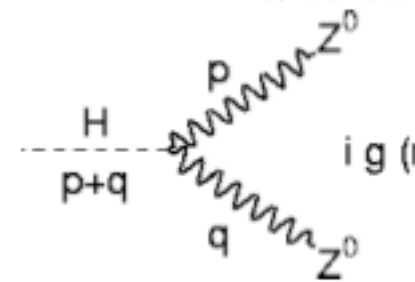
SFitter

claims sensitivity to deviations of **#10%** with 30 fb^{-1} , $m_H=120 \text{ GeV}$

* How to determine its QUANTUM NUMBERS? (spin, parity...) ?

Rogan: exploit golden channel and angular correlations

$$H \rightarrow ZZ^* \rightarrow \ell_1^+ \ell_1^- \ell_2^+ \ell_2^-$$



“Higgs”
Spin

What are the quantum numbers?

0

$$L_{\mu\alpha} = X g_{\mu\alpha} - (Y + i Z) \frac{k_\alpha k_\mu}{M_Z^2} + (P + i Q) \epsilon_{\mu\alpha} \frac{p_1 p_2}{M_Z^2},$$

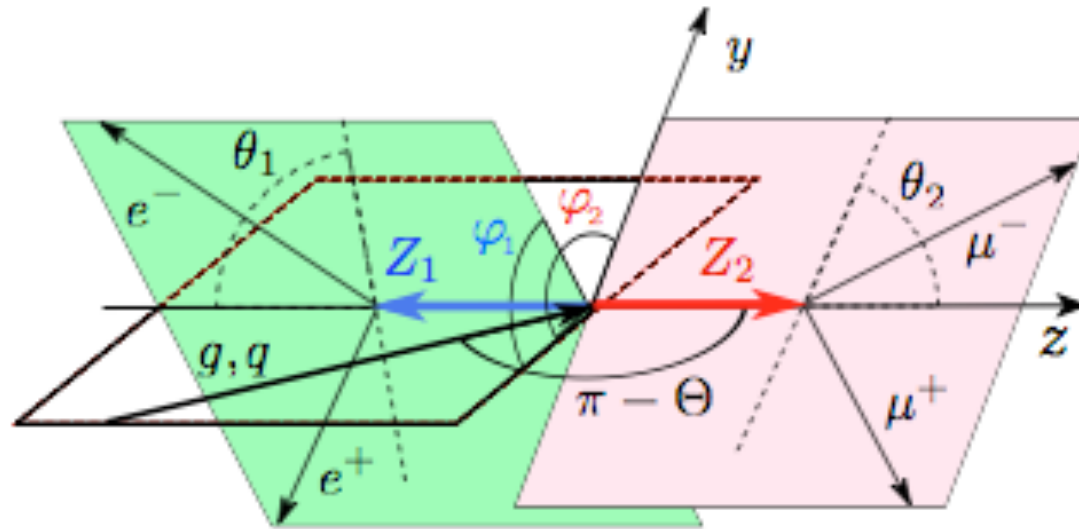
SM: X=1

1

$$L^{\rho\mu\alpha} = X (g^{\rho\mu} p_1^\alpha + g^{\rho\alpha} p_2^\mu) + (P + i Q) \epsilon^{\rho\mu\alpha} (p_1 - p_2)$$

2⁺

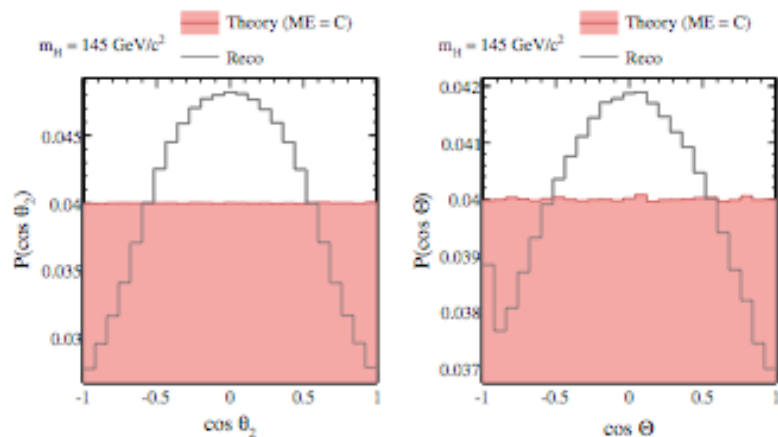
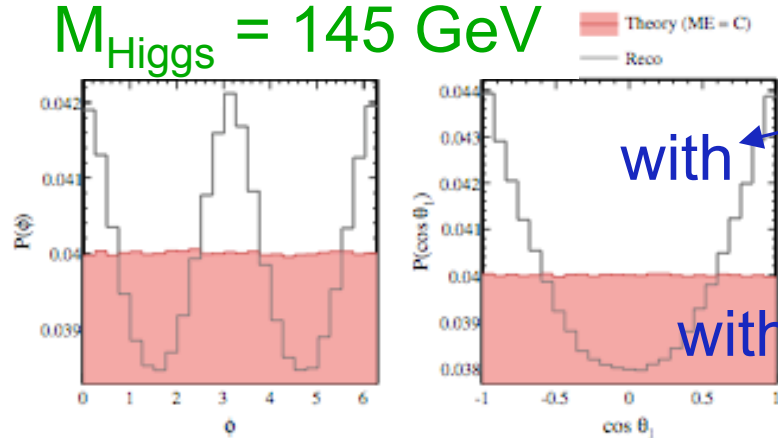
$$\begin{aligned} L^{\rho\sigma\mu\alpha} = & X_0 m_H^2 g^{\mu\rho} g^{\alpha\sigma} \\ & + (X_1 + i Y_1) (p_1^\alpha p_2^\rho g^{\sigma\mu} + p_1^\rho p_2^\mu g^{\sigma\alpha}) \\ & + (X_2 + i Y_2) p_1^\rho p_2^\sigma g^{\mu\alpha}, \end{aligned}$$



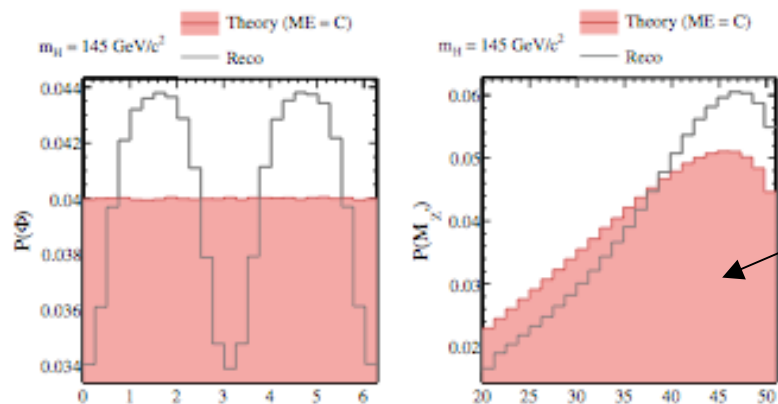
Five relevant angular variables

- Refine much previous analysis + detector phase-space acceptance (CMS)

$M_{\text{Higgs}} = 145 \text{ GeV}$



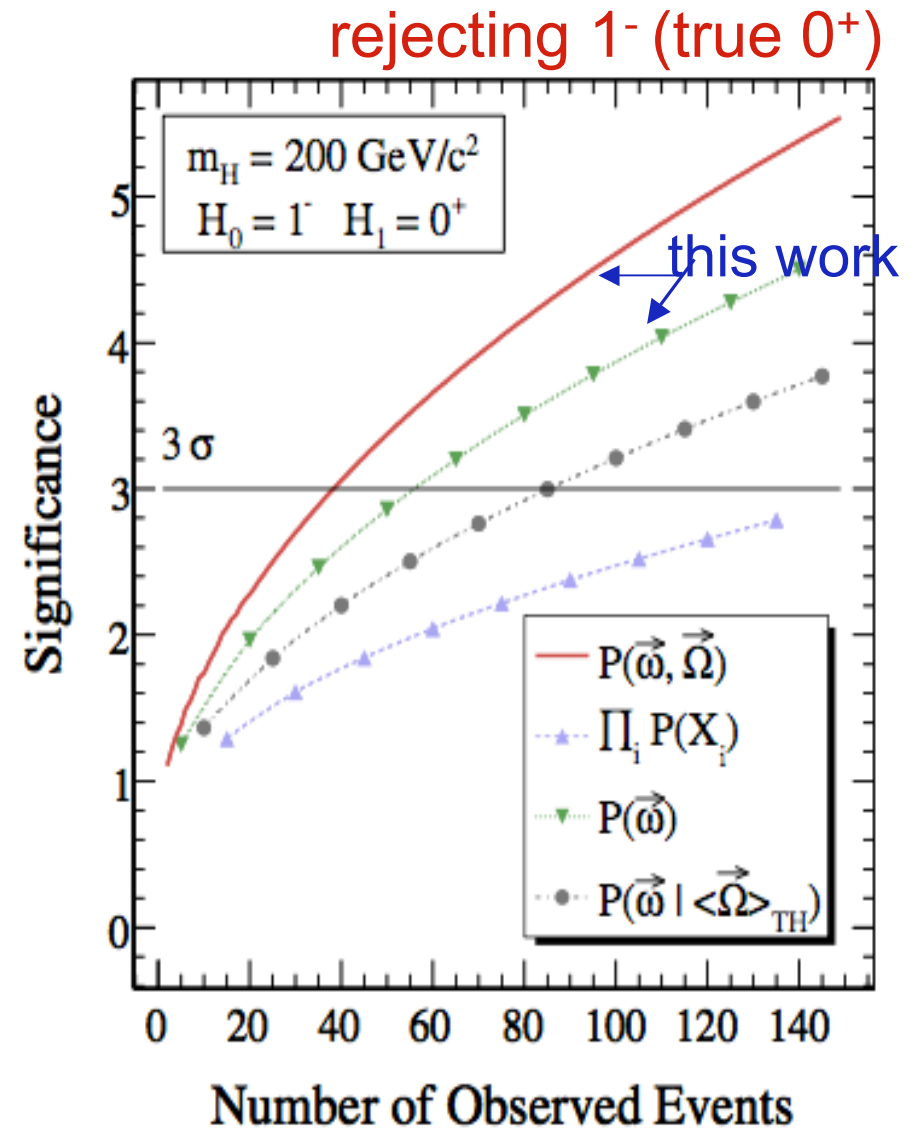
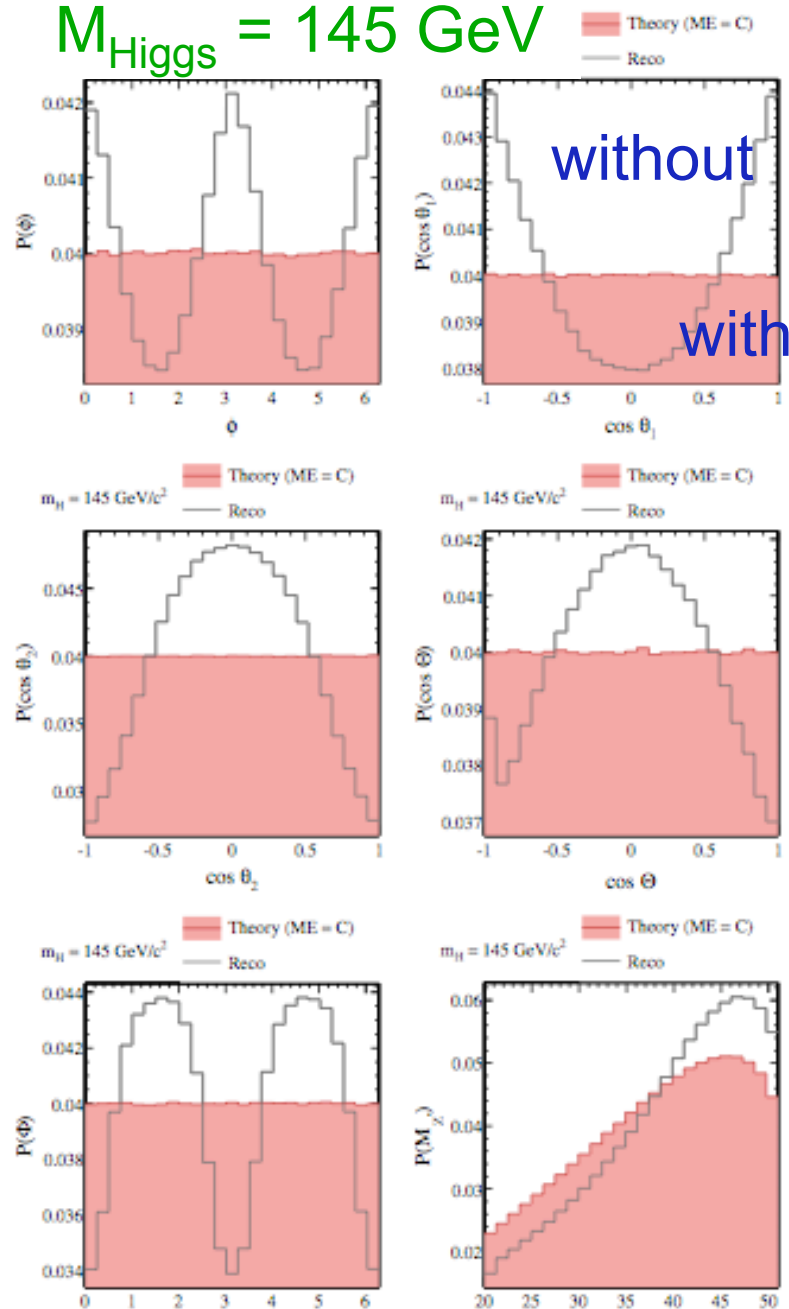
Detector sculpting of flat angular distributions

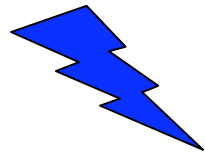


Detector sculpting of $M(Z)$ distribution

- Refine much previous analysis + detector phase-space acceptance (CMS)

$$M_{\text{Higgs}} = 145 \text{ GeV}$$





Beyond the SM models

BSM because

1) Experimental evidence for new particle physics:

***** Neutrino masses**

***** Dark matter**

2) SM fine-tunings/uneasiness, i.e. in electroweak:

***** Hierarchy problem**

***** Flavour puzzle**

BSM electroweak

* **HIERARCHY PROBLEM**

fine-tuning issue: **if** BSM physics, why Higgs so light

Interesting mechanisms to solve it from SUSY;
strong-int. Higgs, extra-dim....

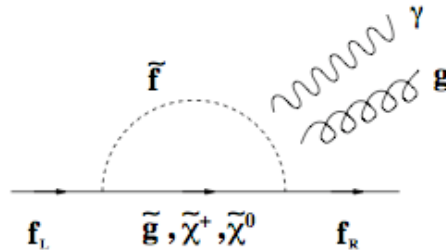
In practice, none without further fine-tunings

- **FLAVOUR PUZZLE**: no progress
BSMs tend to make it worse

understanding stalled since 30 years,
Only new B physics data **AND** neutrino masses and mixings

The FLAVOUR WALL for BSM

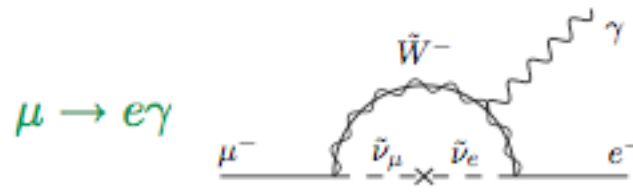
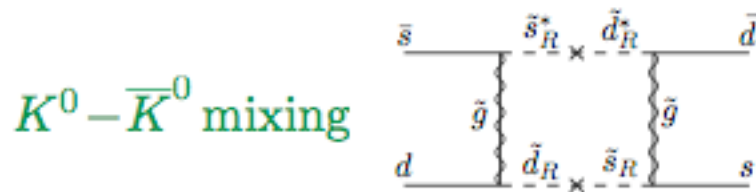
- i) Typically, BSMs have **electric dipole moments** at one loop
i.e susy MSSM:



< 1 loop in SM ---> **Best (precision) window of new physics**

- ii) **FCNC**

i.e susy MSSM:



competing with SM at one-loop

Facing the FLAVOUR WALL in MSSM

Susy Flavour problem

Lavignac

culprit: susy breaking

$$\begin{aligned}\mathcal{L}_{\text{soft}}^{\text{MSSM}} = & -\frac{1}{2} \left(M_3 \tilde{g}\tilde{g} + M_2 \tilde{W}\tilde{W} + M_1 \tilde{B}\tilde{B} + \text{h.c.} \right) \\ & - \left(A_u \tilde{Q}\tilde{u}H_u - A_d \tilde{Q}\tilde{d}H_d - A_e \tilde{L}\tilde{e}H_d + \text{h.c.} \right) \\ & - \tilde{Q}^\dagger m_Q^2 \tilde{Q} - \tilde{L}^\dagger m_L^2 \tilde{L} - \tilde{u}^\dagger m_{\tilde{u}}^2 \tilde{u} - \tilde{d}^\dagger m_{\tilde{d}}^2 \tilde{d} - \tilde{e}^\dagger m_{\tilde{e}}^2 \tilde{e} \\ & - m_{H_u}^2 H_u^\dagger H_u - m_{H_d}^2 H_d^\dagger H_d - (B\mu H_u H_d + \text{h.c.})\end{aligned}$$

One way to avoid dangerous FCNC

is

universal soft terms: $(m_Q^2)_{ij} \approx m^2 \delta_{ij}$

magic
recipee

MSSM -----> cMSSM

~100 free parameters -----> a few

One way to avoid dangerous FCNC

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constrained

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MSSM -----> **c**MSSM

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You can view this as

a) Inspired from mSUGRA

Quantifying tuning and probability

Assuming **c**MSSM (= mSUGRA), how fine-tuned/probable is the model? We heard:

i) A quantification of the remaining little hierarchy fine-tuning
Cassel
---> some regions with light Higgs still allow $\sim 10\%$ fine-tuning

ii) A thorough improved Bayesian sweep over the **c**MSSM parameter space.

Bayesian statistics quantifies one's degree of belief in inputs and results
Cabrera

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Cassel
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ii) A thorough improved Bayesian sweep over the **c**MSSM parameter space.

* again, light Higgs favored

Cabrera

* “sizeable probability of not discovering susy at LHC”
(i.e. 50% with 1 fb^{-1})

... if it is there at all

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Where did naturalness go?

One way to avoid dangerous FCNC

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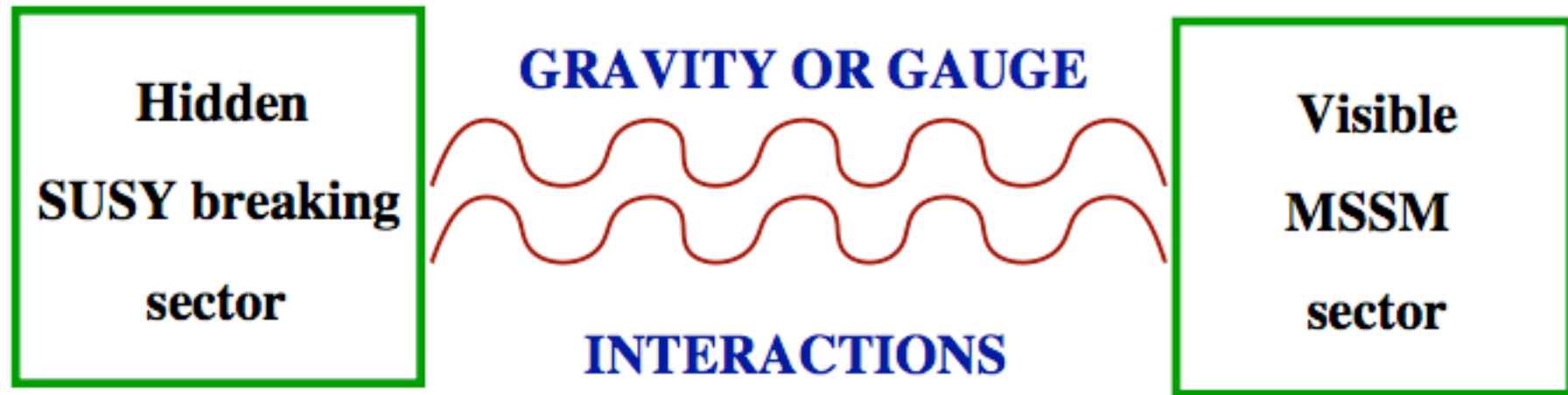
- a) Inspired from mSUGRA
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Do you have a better way ?

Mariotti,

Facing the FLAVOUR WALL in MSSM

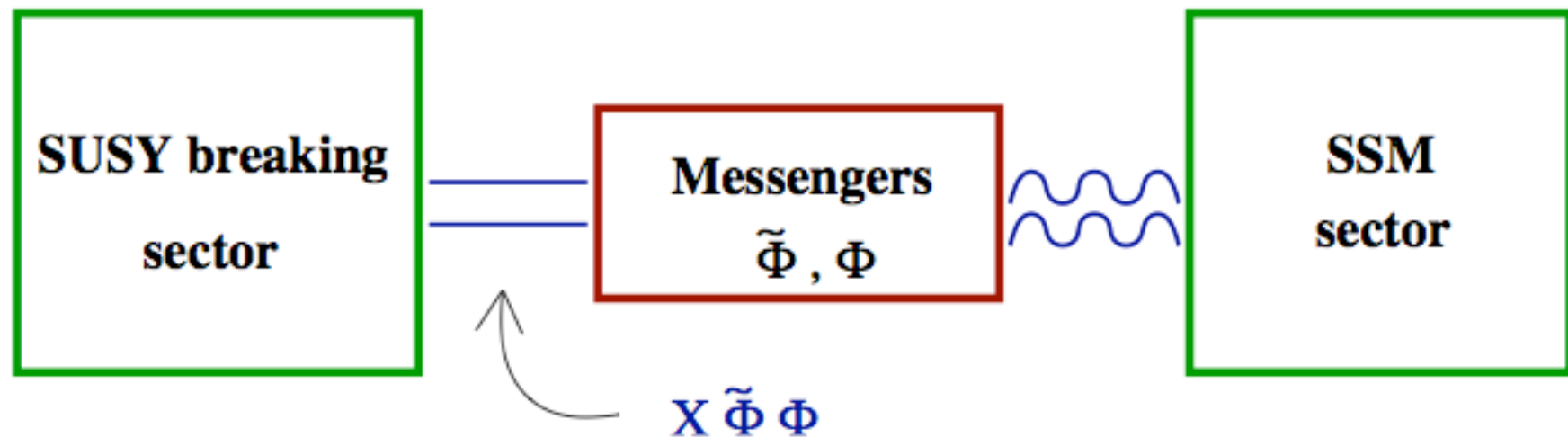
GAUGE MEDIATION



Mariotti,

Facing the FLAVOUR WALL in MSSM

GAUGE MEDIATION



Loop suppressed FLAVOUR transitions and other advantages

Nevertheless: μ , $B\mu$ and other problems remain/worsen

- * LSP in gauge mediation: gravitino

Lavignac: **Combining gauge mediation with unification**

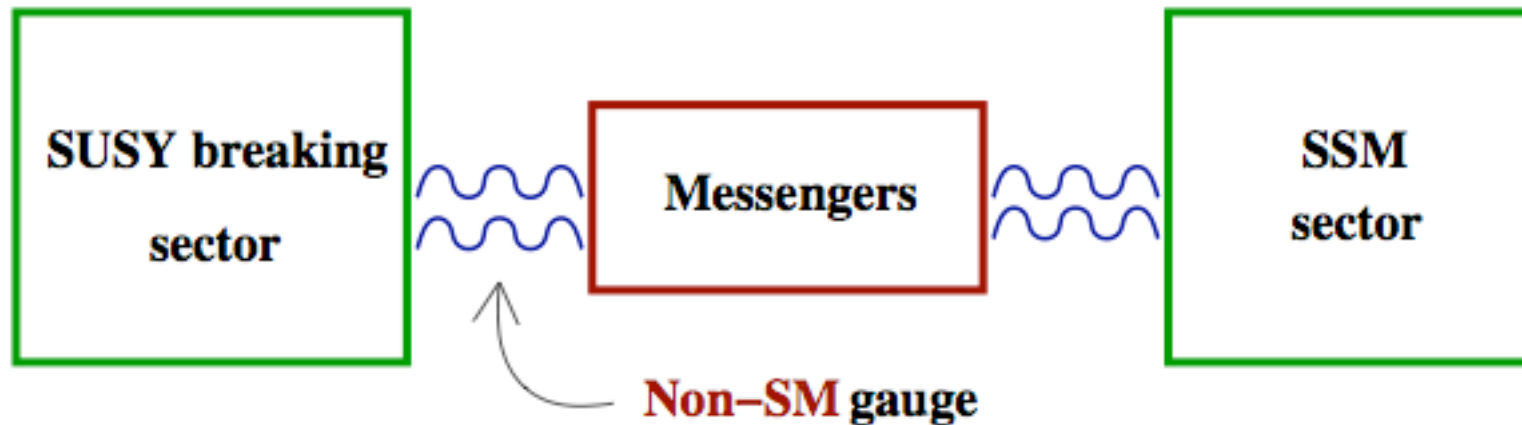
- * LSP may be neutralino (bino)

- NLSP may be gravitino or gluino

Mariotti,

Facing the FLAVOUR WALL in MSSM

SEMI-DIRECT GAUGE MEDIATION



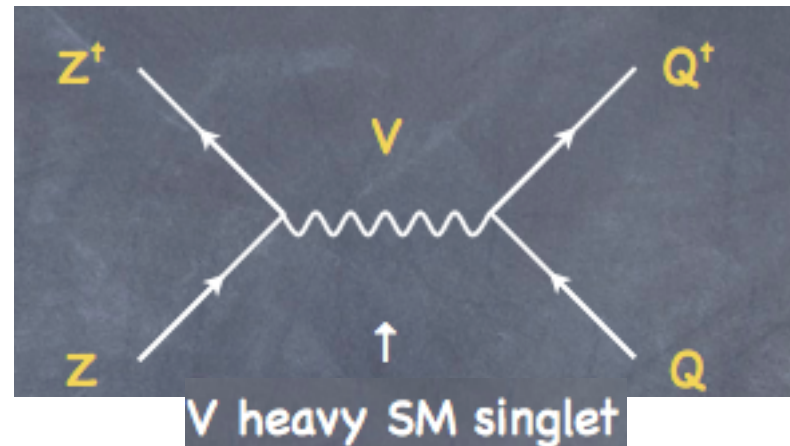
More loop suppressed FLAVOUR transitions and other advantages

Nevertheless: μ , $B\mu$ and other problems remain/worsen

Nardecchia

Facing the FLAVOUR WALL in MSSM

TREE-LEVEL GAUGE MEDIATION..... possible!



Suppressed FLAVOUR transitions and other advantages

μ , $B\mu$ and other problems perhaps ameliorate ?

Facing the FLAVOUR WALL in MSSM

GAUGE MEDIATION

Is this better ?

Facing the FLAVOUR WALL in MSSM

GAUGE MEDIATION

Did naturalness survive ?

Facing HIERARCHY in MSSM

The great attractive of weak scale susy:

*** The Higgs mass is protected from quadratic dependences on new heavy physics scales**

(also provides dark matter candidates..... nice)

The rest is not so bright....

“little hierarchy” problem $\sim 1\%$, and more

* You need to add a crossed term $B\mu H_u H_d$ with $\mu \sim 100$ GeV

NMSSM: justify μ as $\mu = \langle S \rangle$

* This could help too with the “little hierarchy” problem $\sim 1\%$ ->
i.e. It has **singlet** scalars:

Ellwanger **Facing HIERARCHY in MSSM**

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i.e. It has **singlet** scalars:

i) **adjust** CP-odd scalar A_1 $H \rightarrow A_1 A_1$, $m_{A_1} \sim 10$ GeV

Singlino LSP — ~ 4 τ 's per Susy event
 — possibly displaced vertices from stau-decays!

“No Higgs” at the LHC can be a signal

Domingo : η_b - A_1 mixing also possible

Ellwanger Facing HIERARCHY in MSSM

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SIGNALS

until this Tuesday... Cranmer : LEP data

— possibly displaced vertices from stau-decays!

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SIGNALS

“Cranmer : LEP data

Forget τ signals ... and charmed ones (*Grivaz*)

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ii) **adjust** CP-even scalar and account for LEP excess-hints

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But NMSSM also has to face the Flavour wall:

NMSSM ----- $>$ **c**NMSSM

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* **mSUGRA ?**

or

* **BY HAND ?**

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* This could help too with the “little hierarchy” problem $\sim 1\%$ $\rightarrow$

i.e. It has **singlet** scalars:

Where did naturalness go??

ii) **adjust** CP-even scalar and account for Lep excess-hints

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i.e. It has **singlet** scalars:

Do you have a better model?

ii) **adjust** CP-even scalar and account for Lep excess-hints

But NMSSM also has to face the Flavour wall:

NMSSM ----- $>$ **c**NMSSM

* **mSUGRA ?**

or

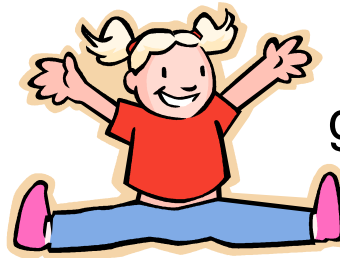
* **BY HAND ?**

Antoniadis : **NOT QUITE**

rather try something else: stay away from preconceived models

Antoniadis Facing **HIERARCHY** in **MSSM**

- Effective actions with higher-dim/hdo:
appropriate tools to parametrize our ignorance about new physics



guided by symmetries

Antoniadis **Facing HIERARCHY in MSSM**

- Effective actions with higher-dim/hdo:
appropriate tools to parametrize our ignorance about new physics

- Sticks to MSSM to soften the large hierarchy gap

Adds effective operators to compensate the little hierarchy problem $\sim 1\%$:

Antoniadis Facing HIERARCHY in MSSM

- Effective actions with higher-dim/hdo:
appropriate tools to parametrize our ignorance about new physics

- Sticks to MSSM to soften the large hierarchy gap

Adds effective operators to compensate the little hierarchy problem ~1% :

- * From singlet S , as in NMSSM but heavy-->

$BSH_uH_d \rightarrow \lambda (H_uH_d)^2$: extra free term to shift m_H

- Adds effective operators up to $d=6$

Antoniadis Facing HIERARCHY in MSSM

- Effective actions with higher-dim/hdo:
appropriate tools to parametrize our ignorance about new physics

- Sticks to MSSM to soften the large hierarchy gap

Adds effective operators to compensate the little hierarchy problem $\sim 1\%$:

- Enhanced $H \rightarrow b\bar{b}$ decays
- Enhanced squark pair production
- Heavier Higgs
- Lighter stop

Antoniadis Facing HIERARCHY in MSSM

- Effective actions with higher-dim/hdo:
appropriate tools to parametrize our ignorance about new physics

- Sticks to MSSM to soften the large hierarchy gap

Adds effective operators to compensate the little hierarchy problem ~1% :



- With tunings, it is possible to lift the Higgs mass to

$$\Rightarrow m_h \simeq 103 - 119 \text{ GeV}$$

But FLAVOUR WALL : i.e. the induced corrections to Yukawa couplings are made flavour diagonal by hand

Bernal

Same than Antoniadis et al., but it is enough for them to stop at $(H_u H_d)^2$ operators, in order to solve the little hierarchy

WHY?:

**They do not impose positivity of the potential
(unlike Antoniadis)**

.... or not so strictly... (ok e.g. in models with 2 vacua

... light stops, heavy sleptons

---> prospects for dark matter detection

In these MSSM+ effective approaches...

Aren't we trading the **little hierarchy** by the new distinct scale(s)

$$M \neq M_{\text{susy}}$$

which weight down the effective ops.?

while the whole point of susy EW was to avoid adjusting EW scales...

*Are these examples alike to simply add
(heavy) scalar singlets ??*

Facing the hierarchy problem without susy

To protect the Higgs mass -----> use a symmetry other than susy

• **i.e a global symmetry:** i.e. Technicolor

if it has a Higgs, it can be its ~Goldstone boson:

little Higgs, composite, some extra-dim...

Strong dynamics is good to give masses to W, Z

i.e. Technicolor , etc.

So is susy at the electroweak scale

Strong dynamics is good to give masses to W, Z
i.e. Technicolor , etc.

The main trouble also here used to be the FERMION WALL

Strong dynamics is good to give masses to W, Z
i.e. Technicolor , etc.

The main trouble also here used to be the FERMION WALL

Grípaíos: Composite + Kaplan's idea.... FCNC could be OK;
predicts 50% deviations in Yukawa and gauge couplings
-->*Rauch's* talk

Terning

A Moriond scoop

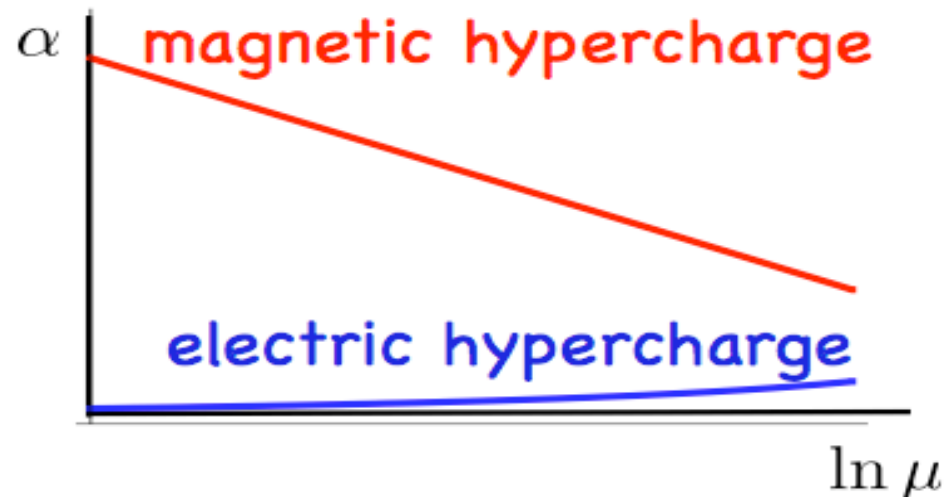


Terning

Facing the hierarchy problem without susy

Magnetic Monopoles

a fourth generation with
magnetic charges?

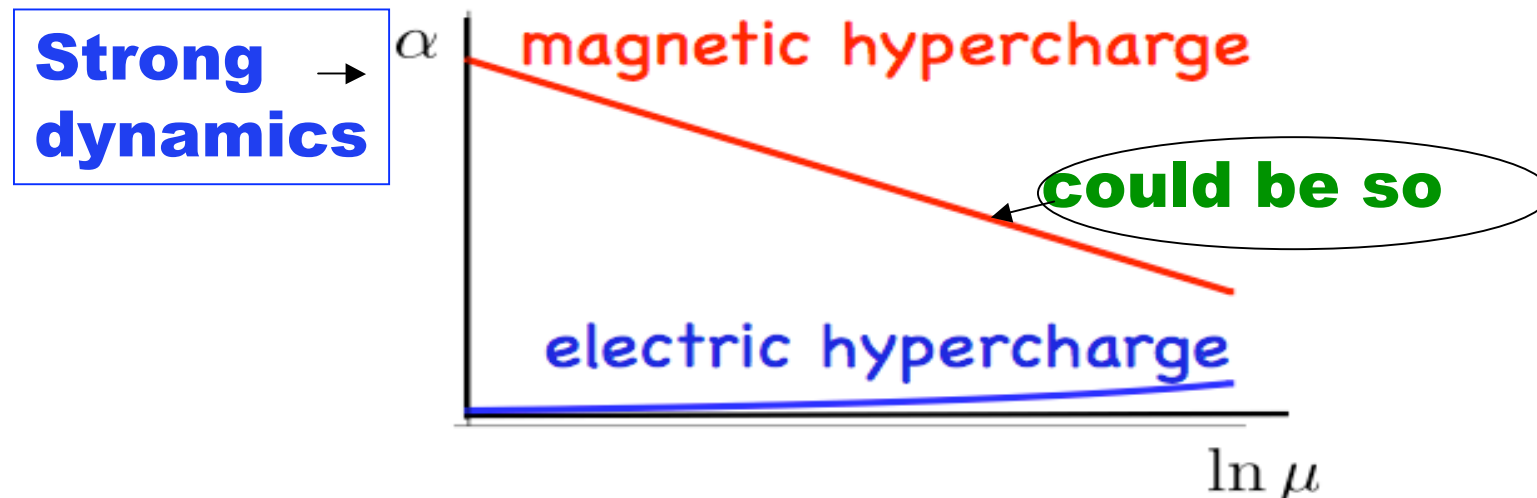


Terning

Facing the hierarchy problem without susy

Magnetic Monopoles

SM
a fourth generation with
magnetic charges?



→ it is as if you would be doing technicolor, but
with gauge group $U(1)$

→ **it is as if you would be doing technicolor, but with gauge group $U(1)$**

-> At least one heavy up-type fermion: **heavy top built-in !**
(Callan-Rubakov effect)

→ **Neutrinos come out with zero mass...** this needs
extension

→ Why other up-type quarks not so heavy as top quarks?

Even if no real monopole field theory... it is **stimulating**



→ **it is as if you would be doing technicolor, but with gauge group $U(1)$**

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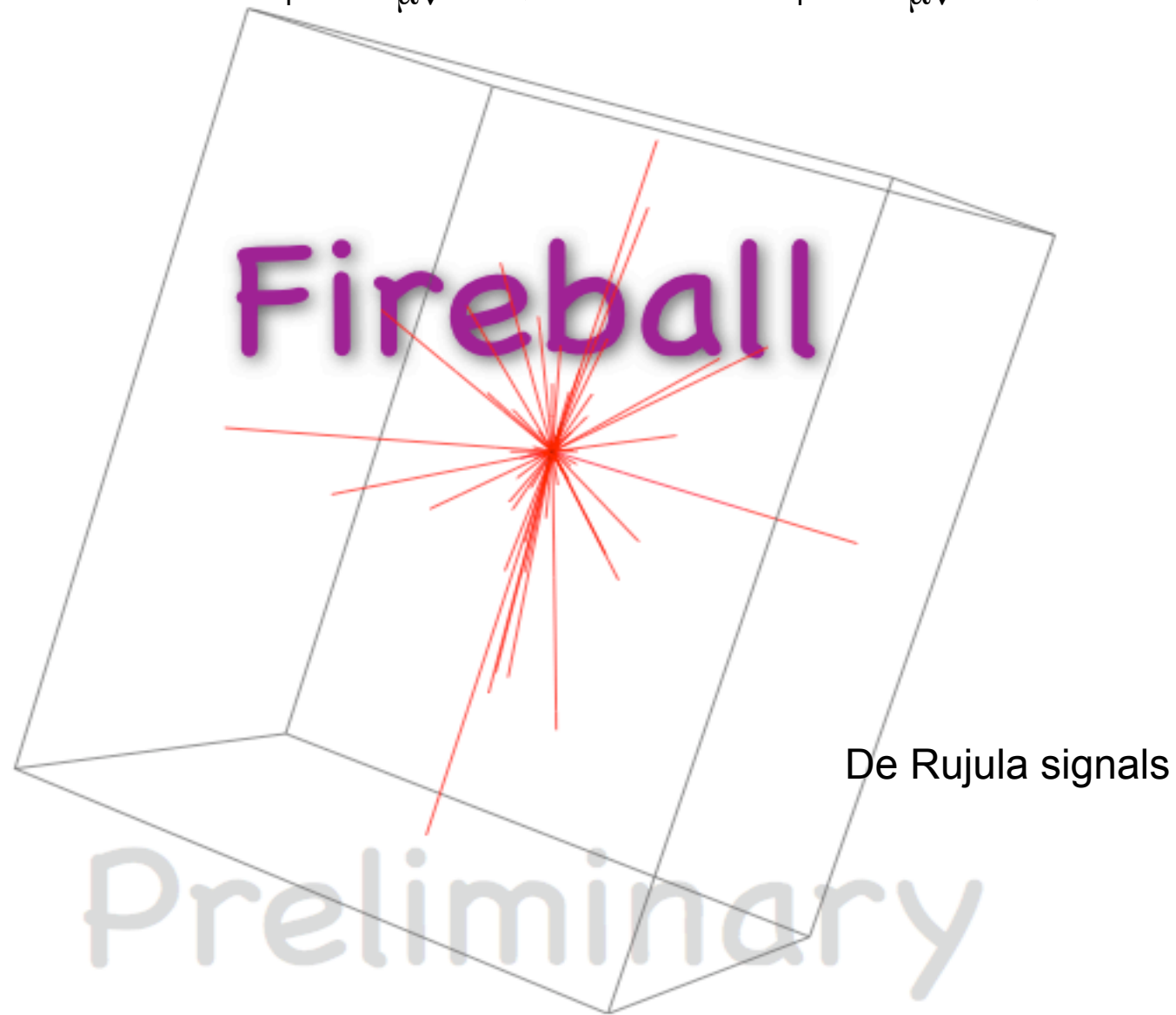
Even if no real monopole field theory... it is **stimulating**



Two fewer parameters than SM:

There is no Higgs

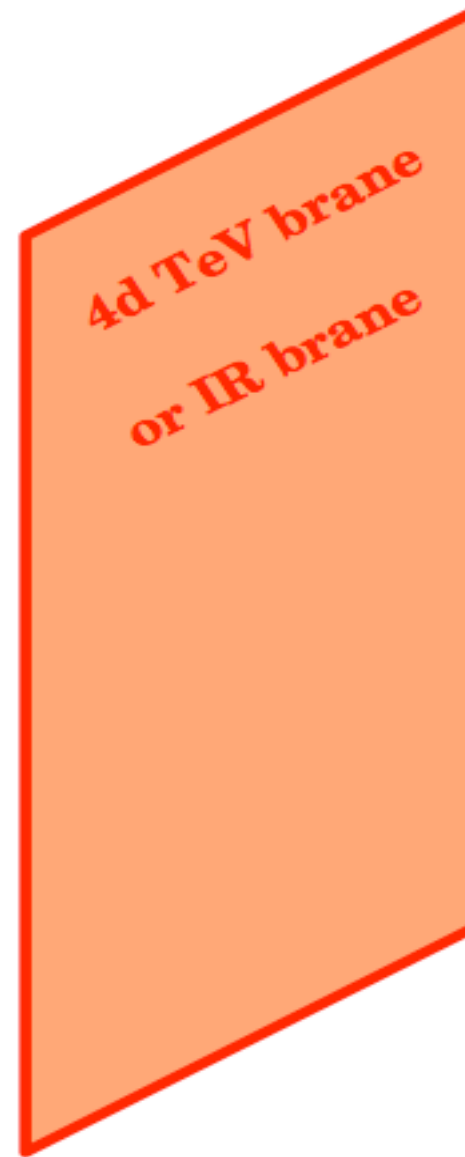
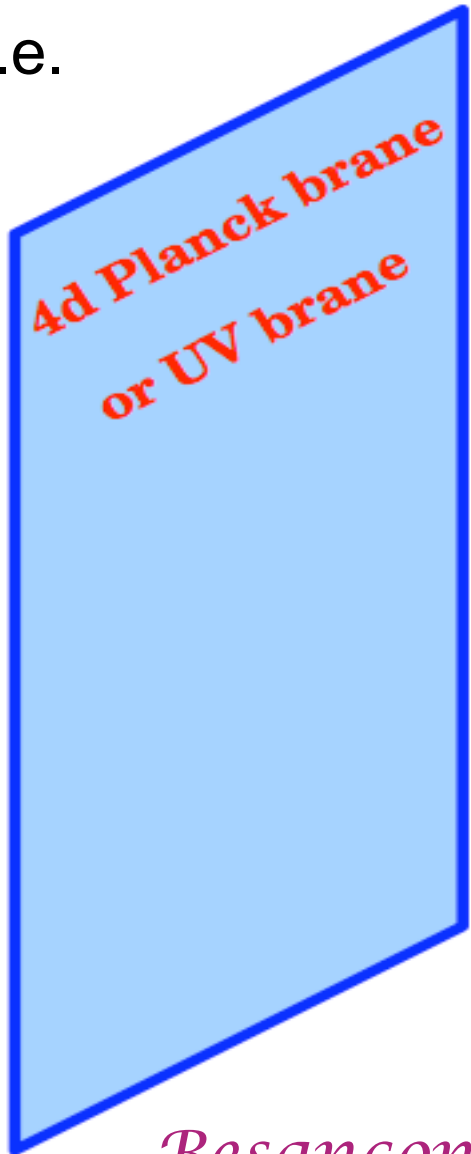
(maybe) **SIGNAL** $\sim 1/M_{\text{monopole}}^n (F_{\mu\nu} F^{\mu\nu})^n, \quad 1/M_{\text{monopole}}^n (F_{\mu\nu} \tilde{F}^{\mu\nu})^n$



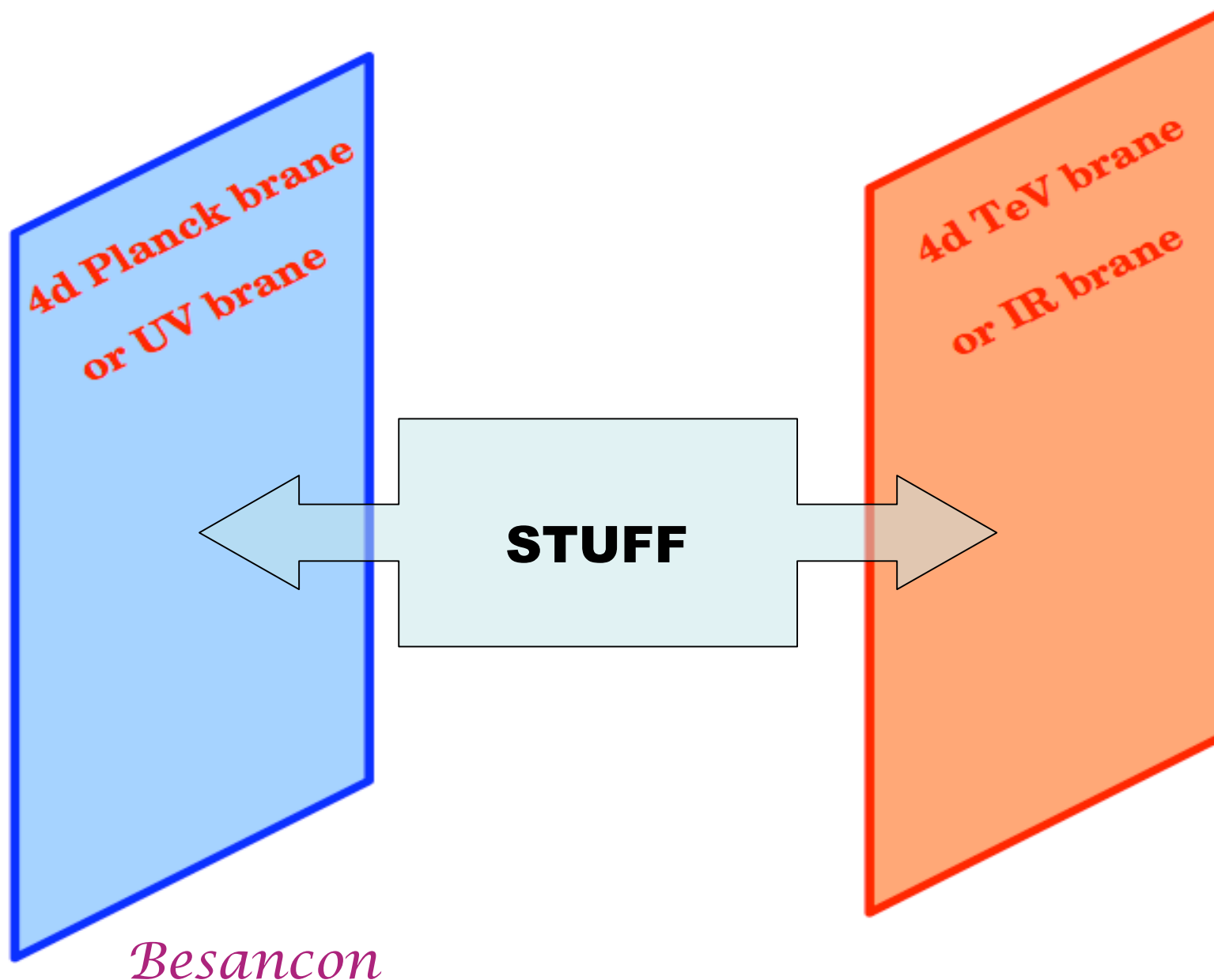
Grojean, Weiler, JT

Facing the hierarchy with extra dimensions

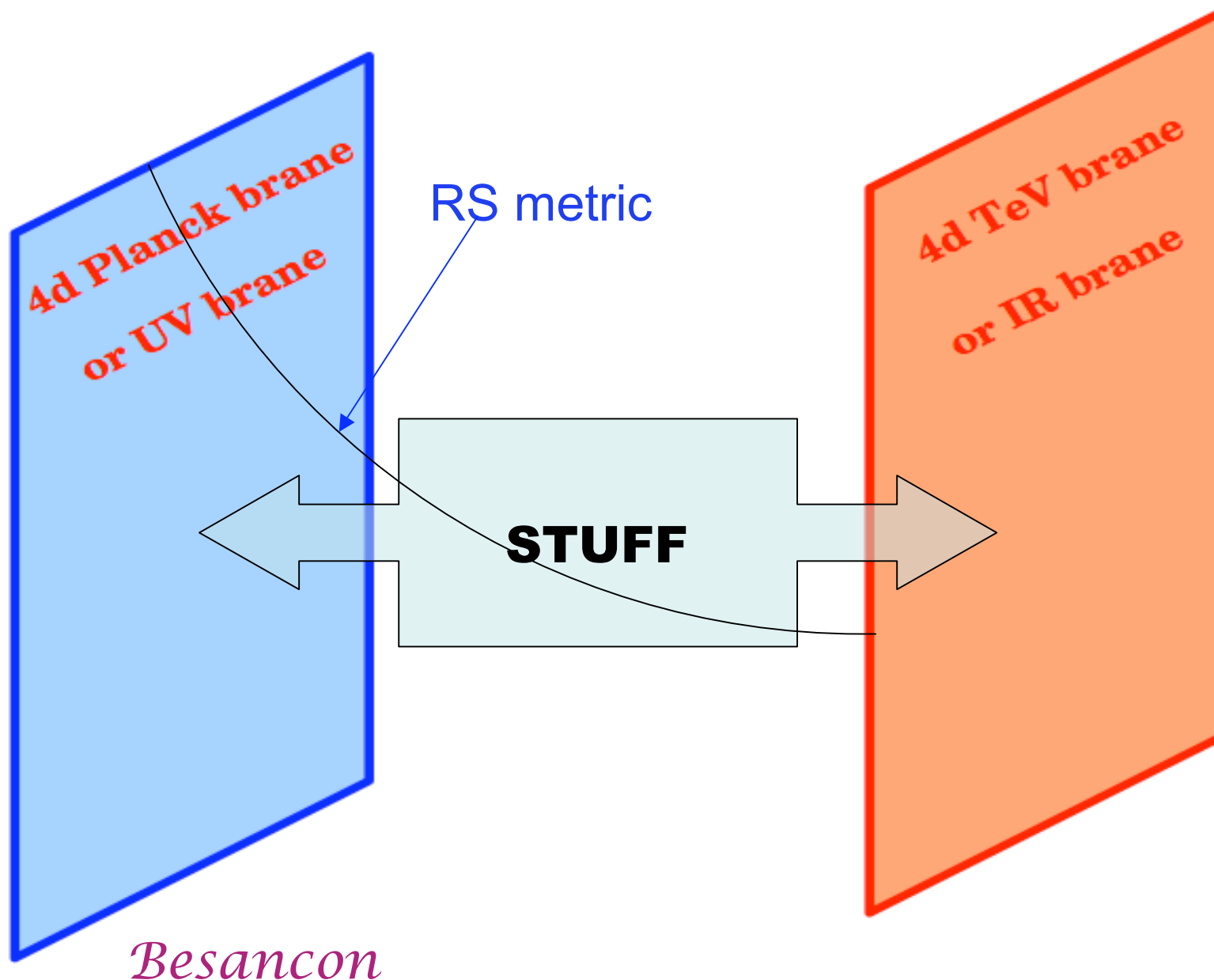
i.e.



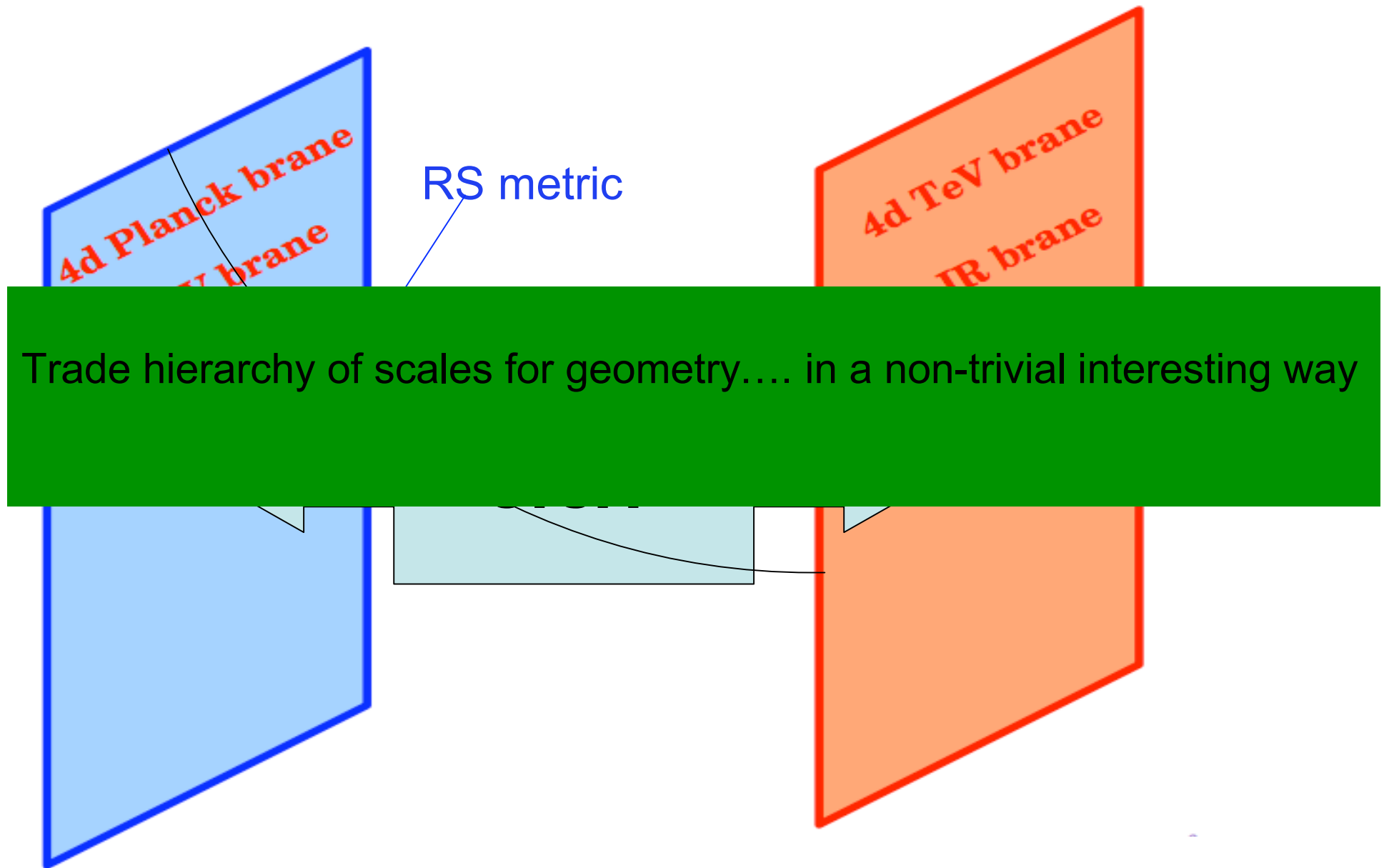
Facing the hierarchy with extra dimensions



Facing the hierarchy with extra dimensions



Facing the hierarchy with extra dimensions

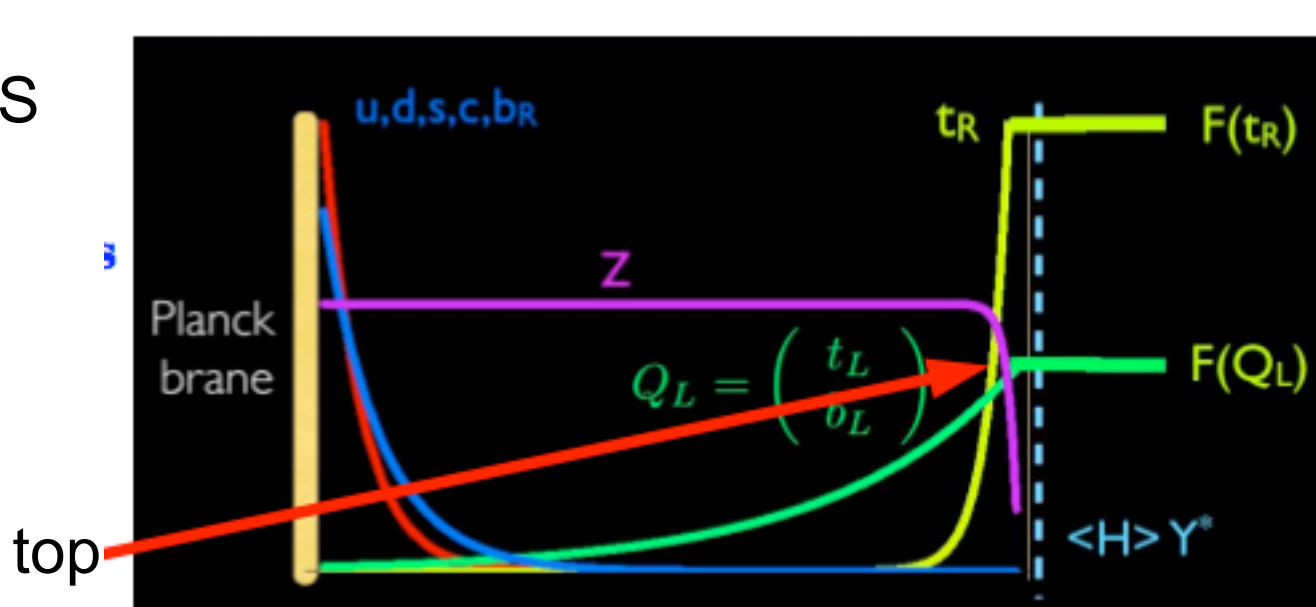


But extra-dim model stumble on the FLAVOUR WALL

FCNC...

flavour spectrum

i.e. RS



Neutrino masses are a challenge:

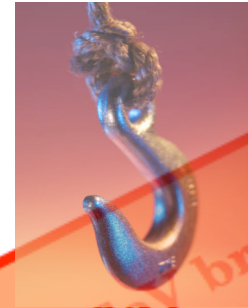
all scales are at most TeV.... even Majorana scale

?

Also need to stabilize the distance



4d Planck brane
or UV brane



4d TeV brane
or IR brane

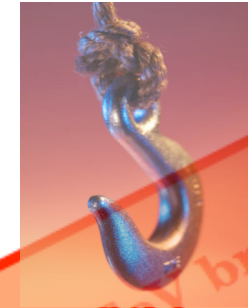


Also need to stabilize the distance



4d Planck brane
or UV brane

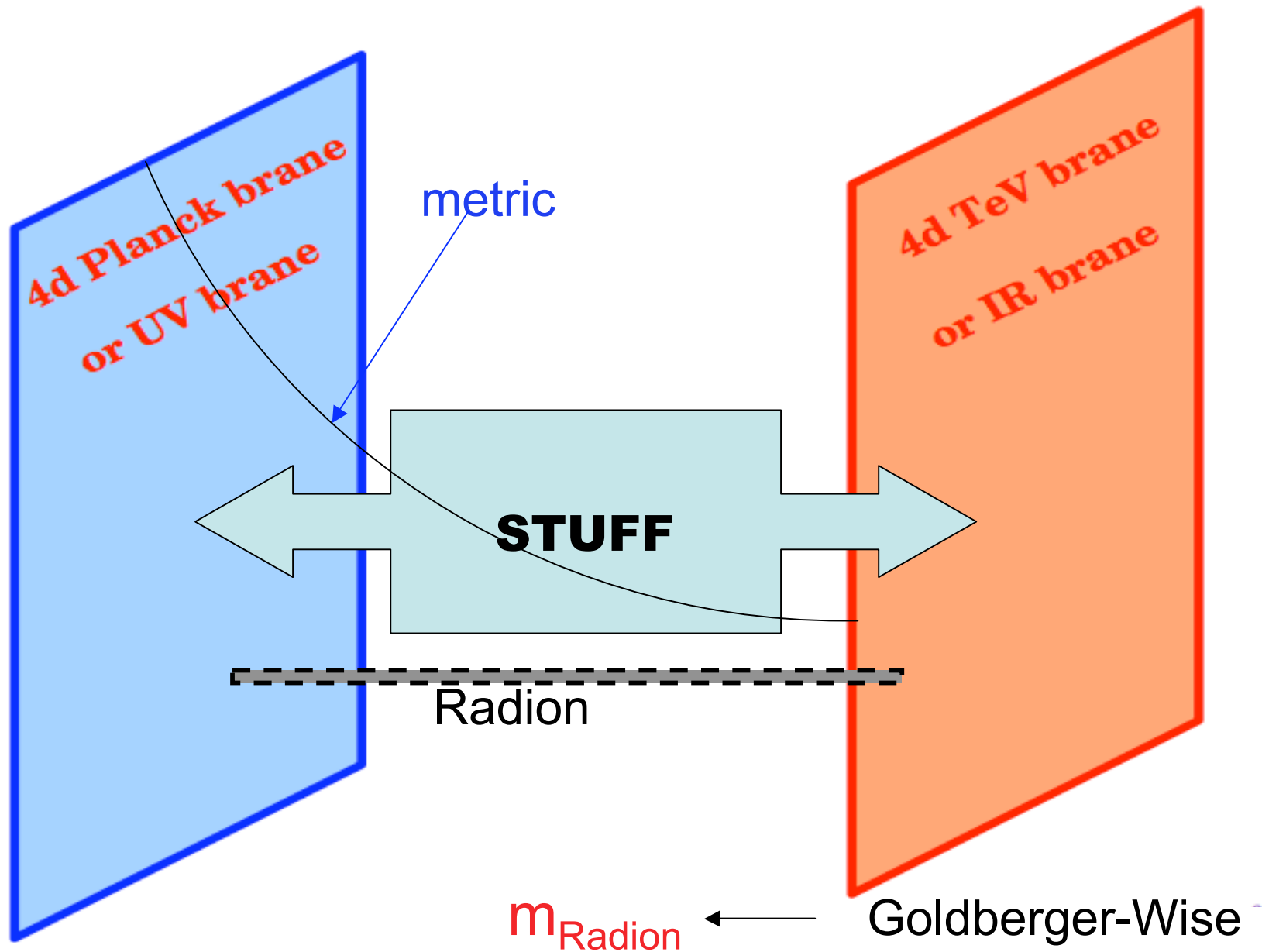
Goldberger
and
Wise



4d TeV brane
or IR brane

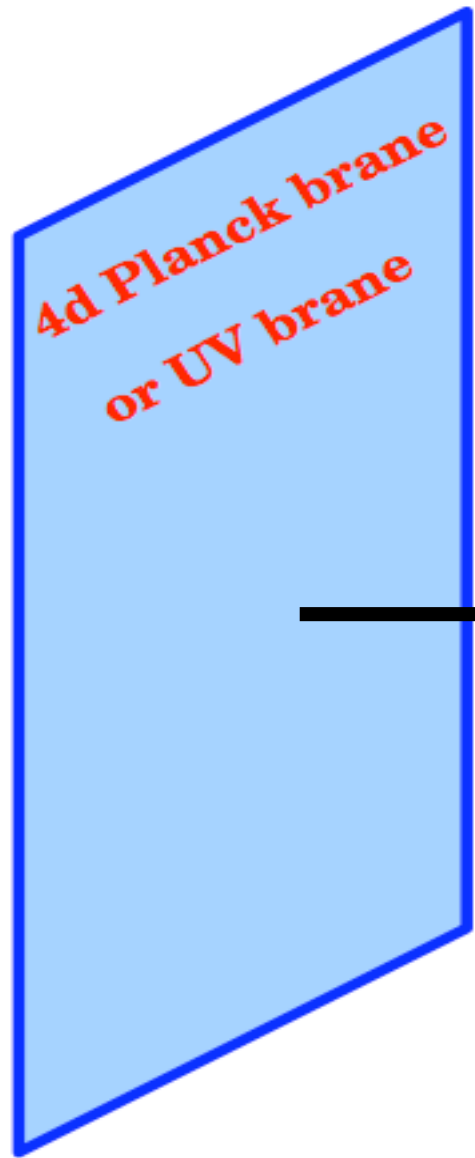


To stabilize the distance (radion): add a scalar field



Quiros

Soft wall

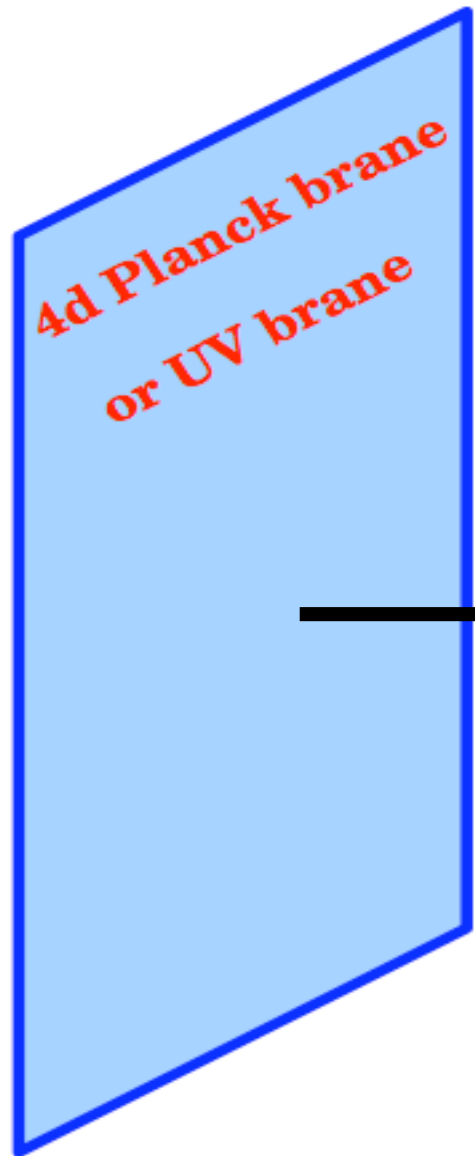


Quiros



Quiros

Soft wall



Naked curved singularity

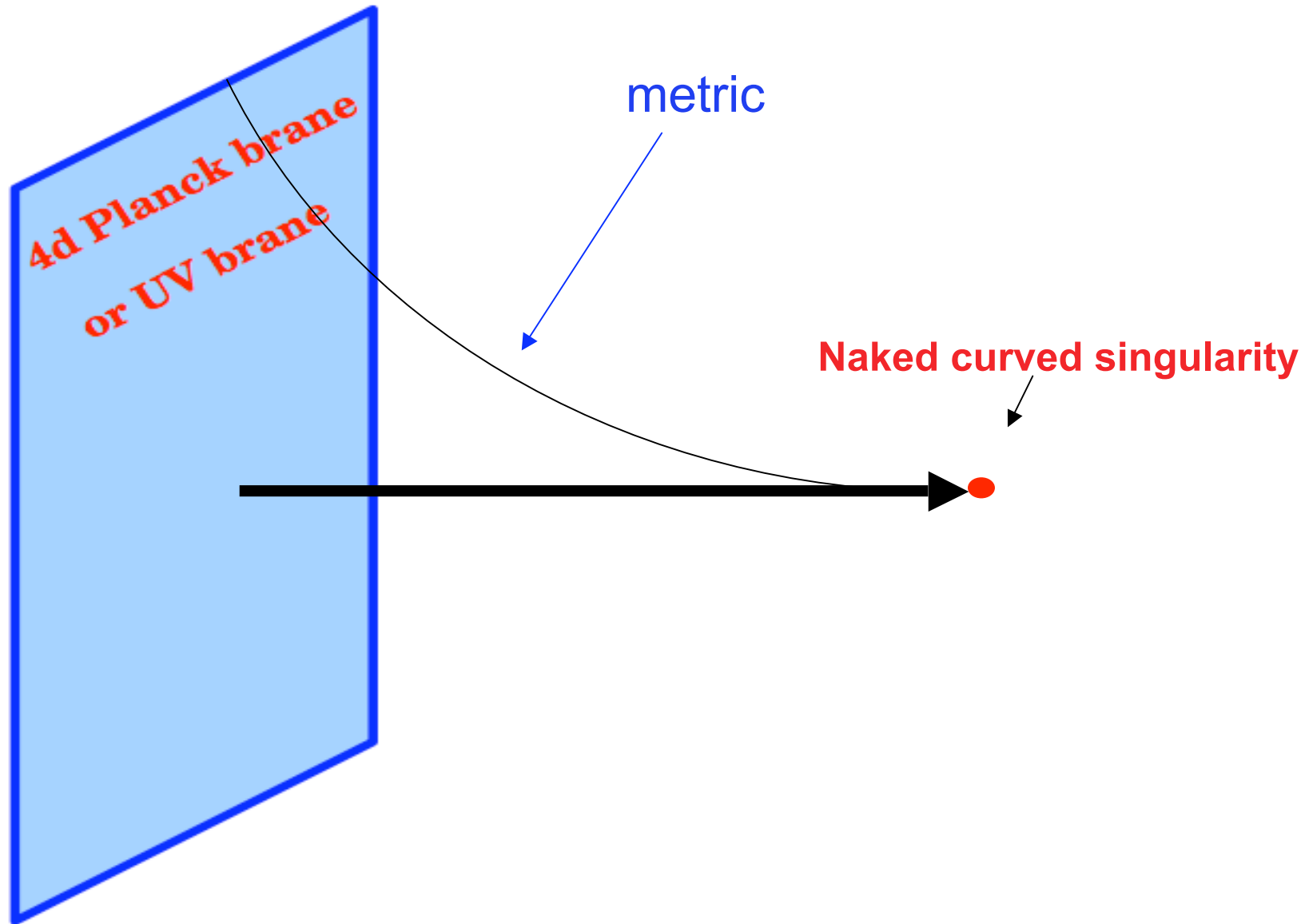


Quiros



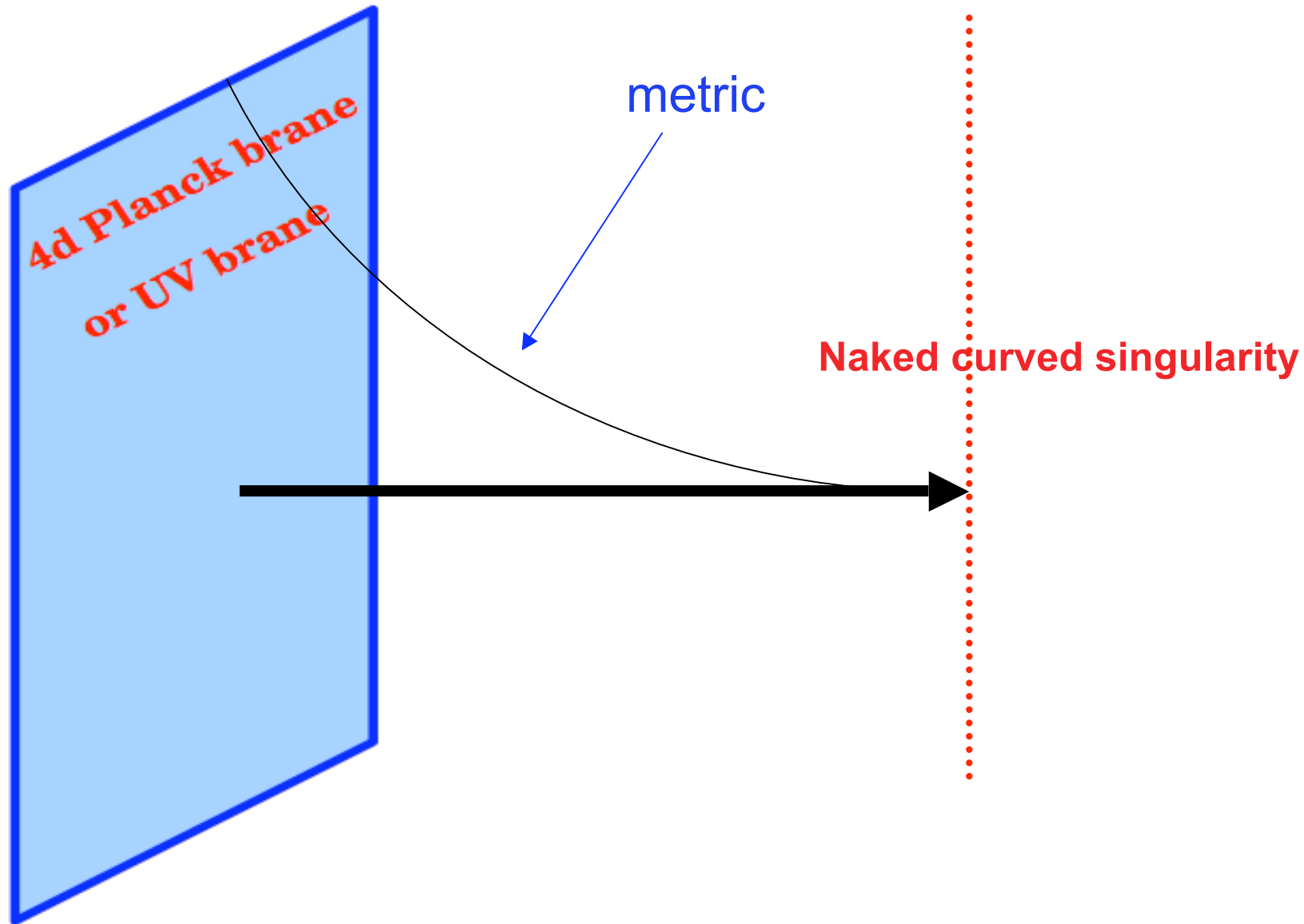
Quiros

Soft wall



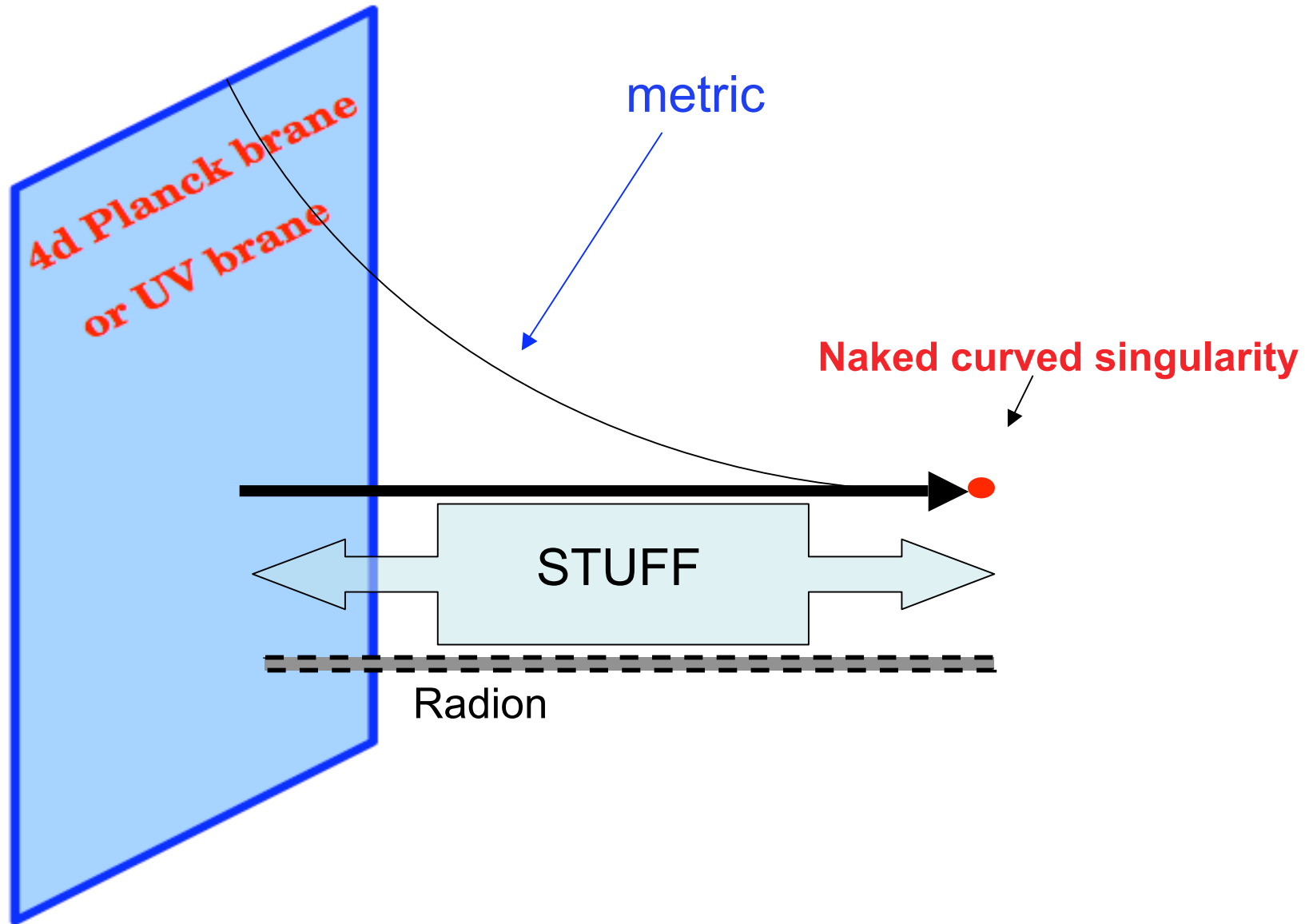
Quiros

Soft wall

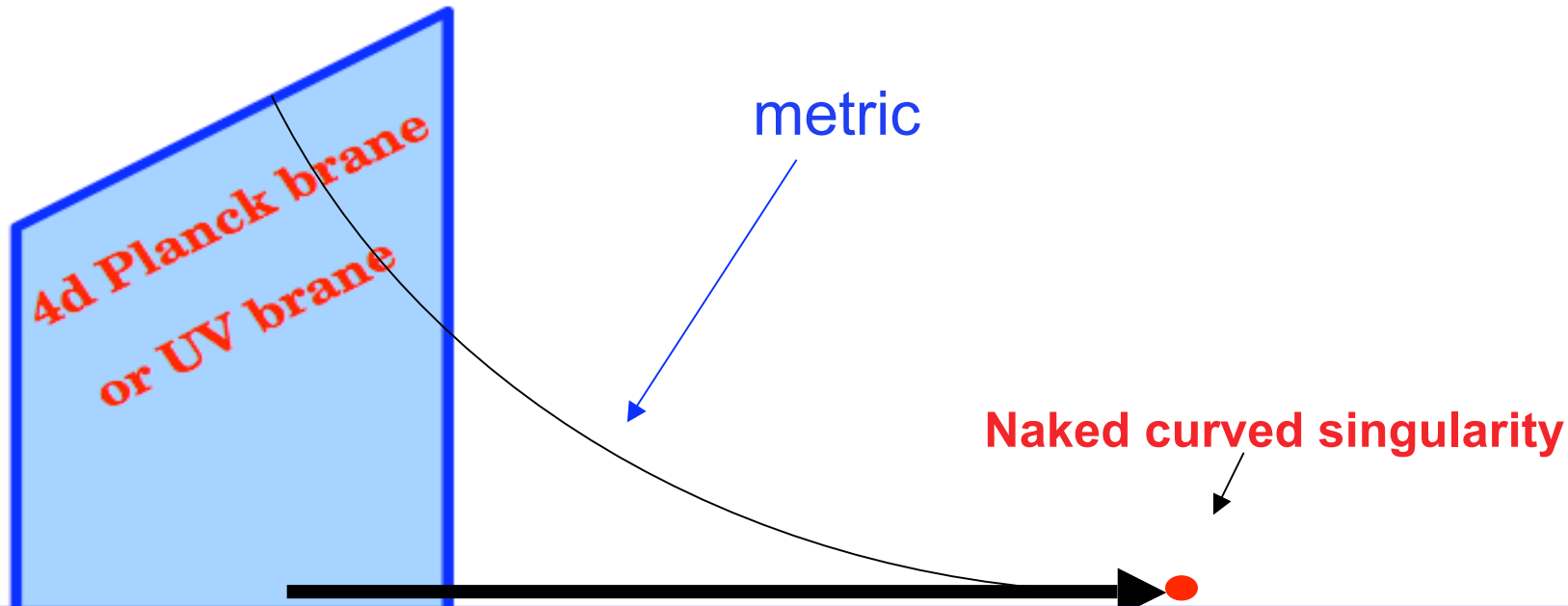


Quiros

Soft wall



Soft wall



- **Hierarchy: double exponential suppression** Good
- **Heavy Higgs (~ 1 TeV) and KKs $O(100)$ GeV closely packed**
- **FLAVOUR HARD WALL: no improvement**

As we are playing with geometry...

We have only understood gauge int.

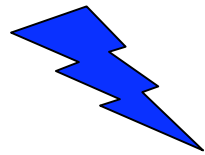
*In SM, fermion and scalar representations are set completely by hand

Schucker: in **non-commutative geometry**:

- * fermions predicted in the fundamental
- * scalar representation predicted: only one Higgs
- * even gauge groups restricted?

“prediction” “ $m_H \sim 170 \pm 10 \text{ GeV}$ ” (at what scale ??)

Not yet known how to include QM-field theory...
which is essential to understand data

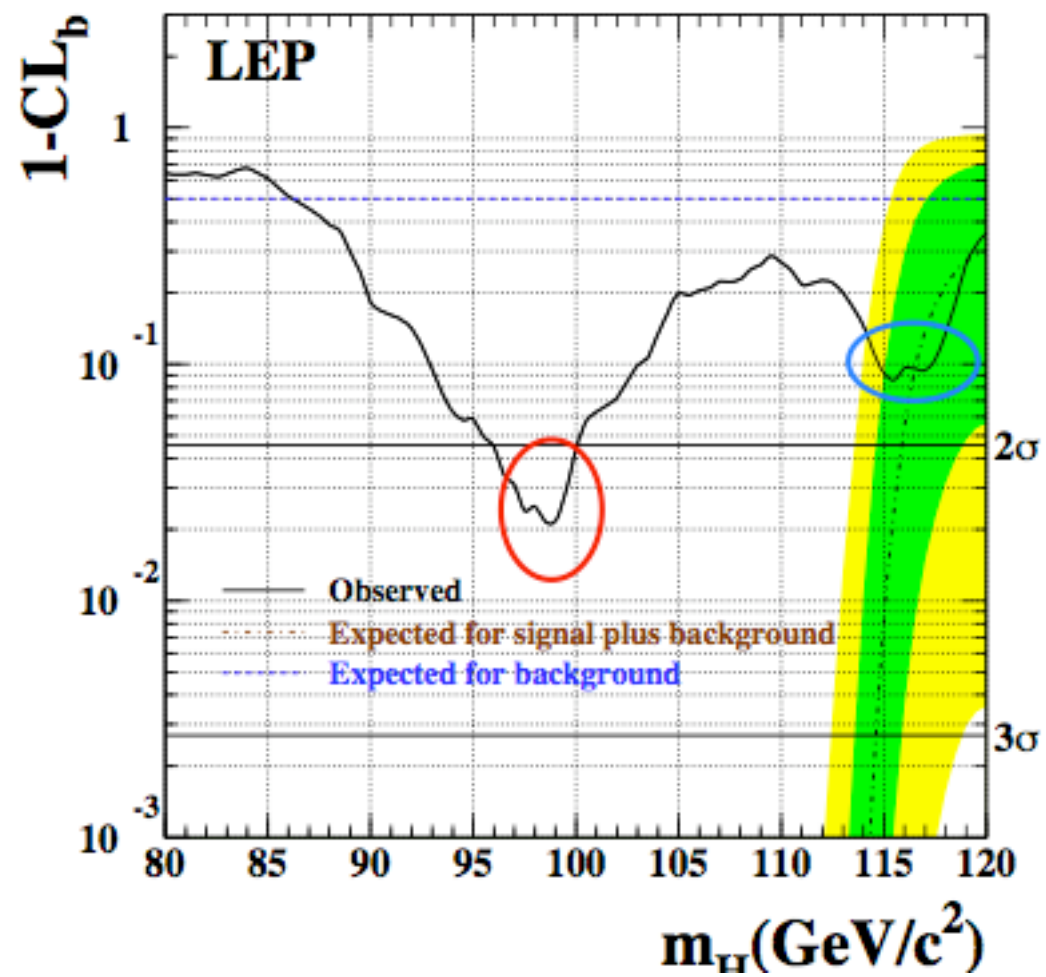


Can we miss the Higgs?

We better don't.....

The threat is serious....

Maybe **NOT** finding supersymmetry at the
LHC will be a signal of supersymmetry ?



Can we miss the Higgs at LHC ?

THE VAN DER BIJ MALEDICTION

* 1980 Van der Bij + A. Hill

Can we miss the Higgs at LHC ?

THE VAN DER BIJ MALEDICTION

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resurfaced in Moriond 2010 disguised as

NMSSM

Gaugephobic

Unhiggs

Effective ops.

Extended standard model (with A. Hill)[†]
Van der Bij

Higgs-sector

Higgs doublet

$$\mathcal{L} = -\frac{1}{2} (D_\mu \phi)^\dagger (D^\mu \phi) - \frac{\lambda_1}{8} (\phi^\dagger \phi - f_1)^2$$

$$- \frac{1}{2} (\partial_\mu x)^2 - \frac{\lambda_2}{8} (2 f_2 x - \phi^\dagger \phi)^2$$

Scalar singlet

$$M_w = \frac{g f_1}{2}$$

Extended standard model (with A. Hill)[†]
Van der Bij

Higgs-sector

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$$\mathcal{L} = -\frac{1}{2} (D_\mu \phi)^\dagger (D^\mu \phi) - \frac{\lambda_1}{8} (\phi^\dagger \phi - f_1^2)^2$$
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Scalar singlet

* The Higgs ϕ and x mix

* x is a SM singlet



2 diluted resonances

Ellwanger: **NMSSM**

- 2) the singlet-like CP-even scalar can mix with the SM-like CP-even scalar, and have a mass below 114 GeV (allowed by LEP!)

Ellwanger: NMSSM

Lessons/Hints from LEP

Search for $H \rightarrow b\bar{b}, \tau^+\tau^-$ (comb. 4 exp., LEP-Higgs Working Group):

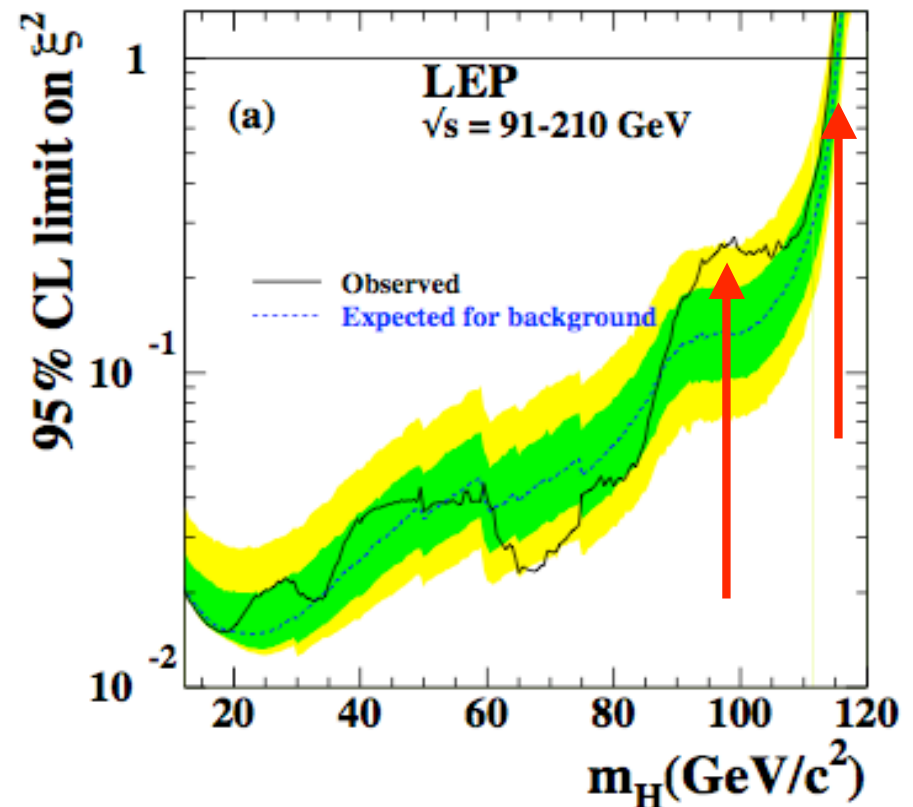
Light excess of events for
 $m_H \sim 95 - 100 \text{ GeV}$ ($\sim 2.3\sigma$)

If such an H exists, it must
possess:

→ Either a reduced coupling
 $g_{HZZ}/g_{HZZ_SM} \equiv \xi \lesssim 0.4 - 0.5$

→ or a reduced BR to $b\bar{b}$:
 $BR(H \rightarrow b\bar{b})/BR_{SM} \lesssim 0.2$

→ $BR(H \rightarrow A_1A_1) \sim 80 - 90\%$?
(Dermisek, Gunion: solution of
the “little finetuning problem”
of the MSSM)

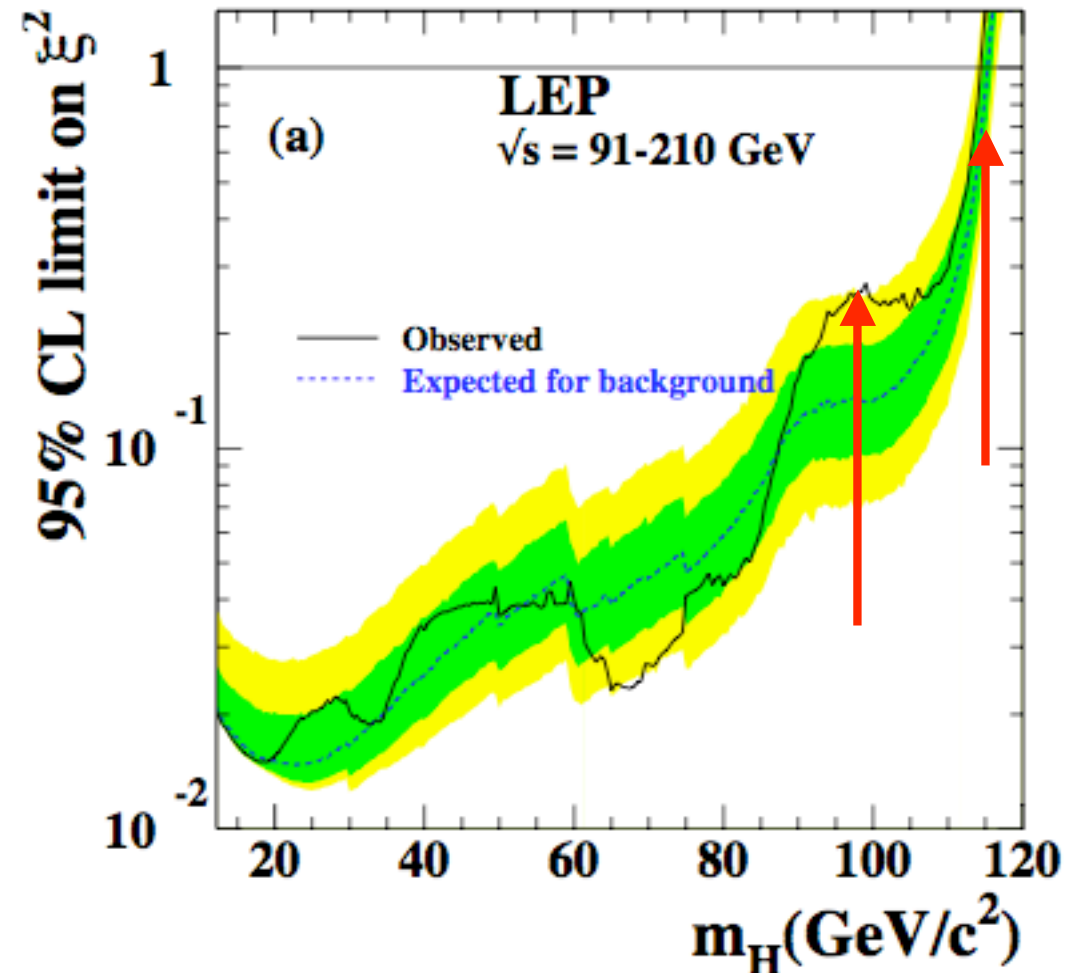


Terning

Missing the Higgs

$$\xi^2 \equiv \frac{\sigma(e^+e^- \rightarrow HZ)}{\sigma_{SM}}$$

a light
Gaugephobic/Unhiggs
could have been
missed at LEP

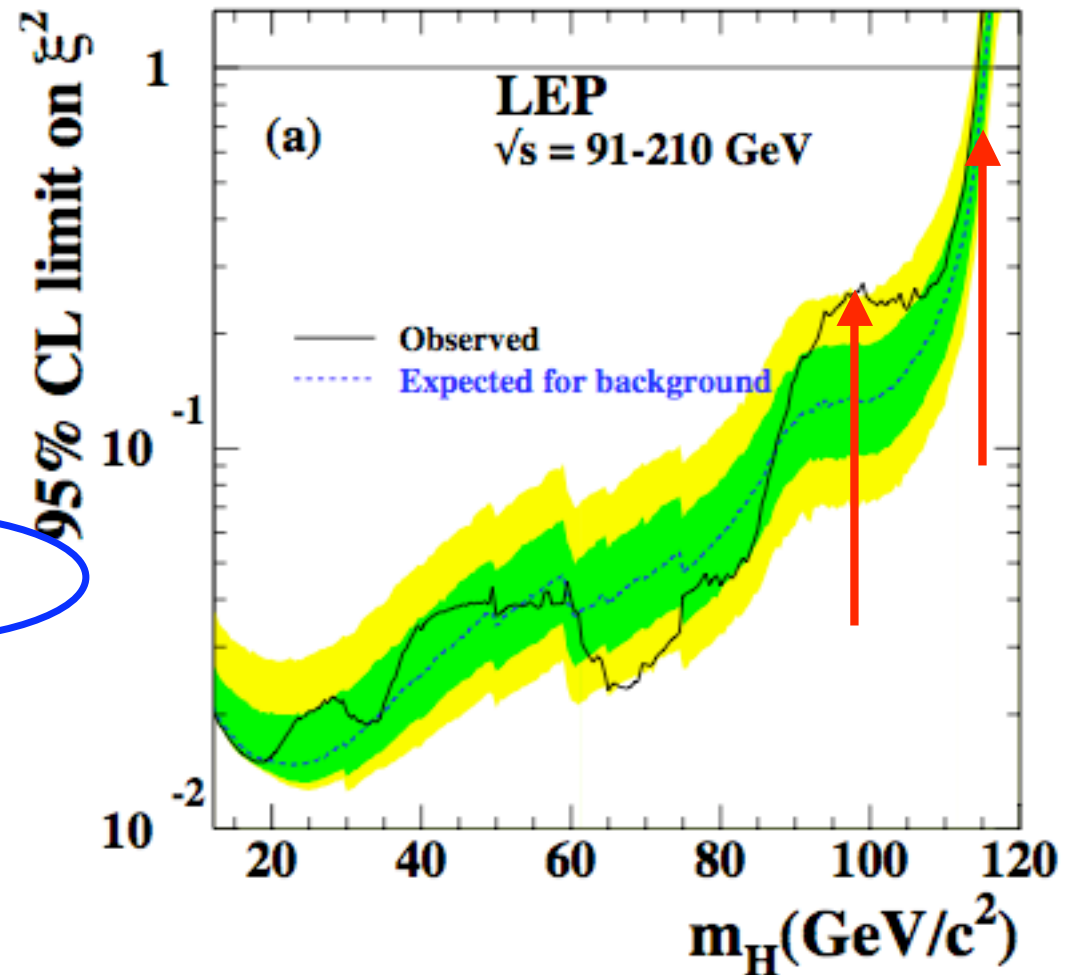


Terning

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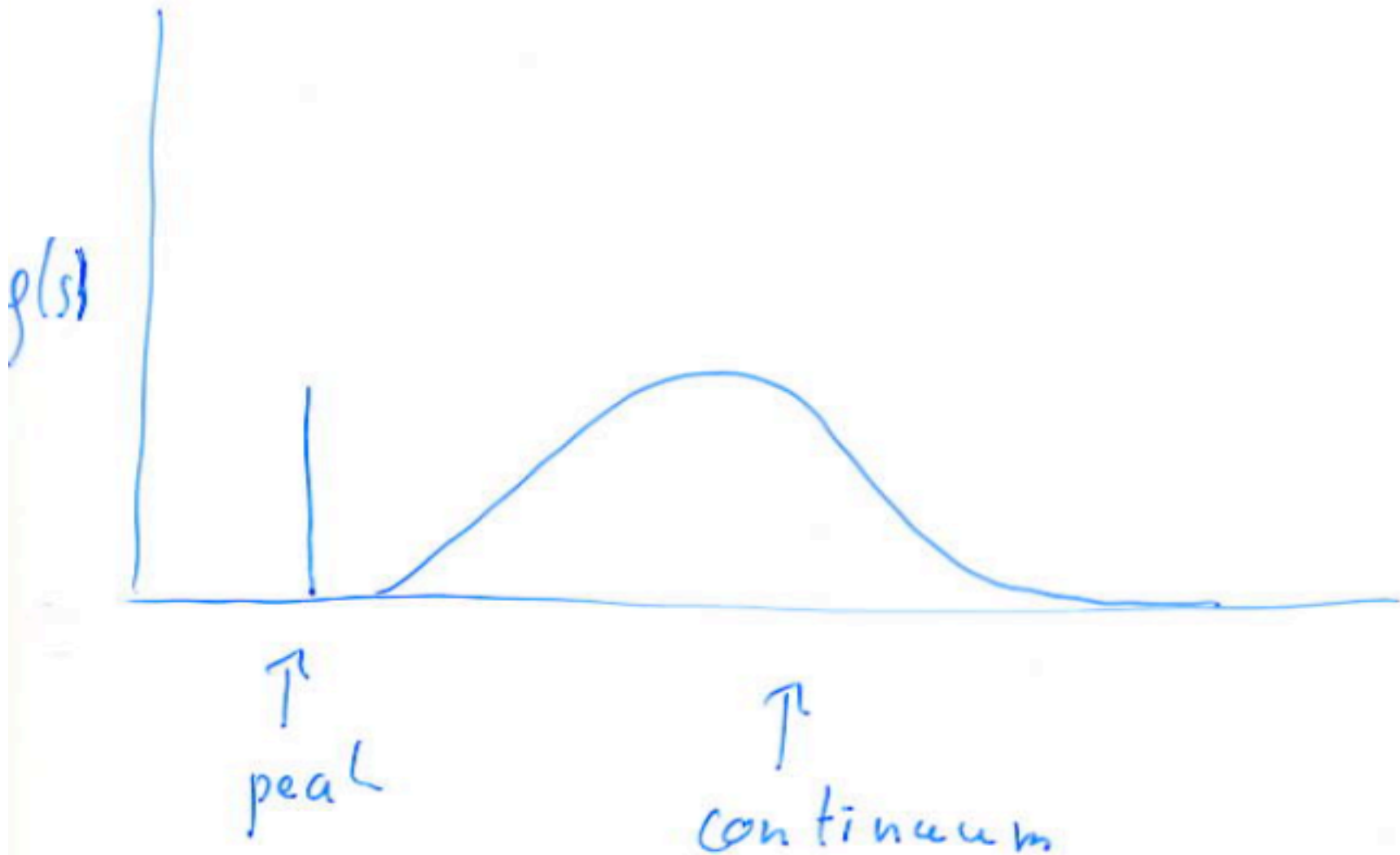
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a light
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Van der Bij Moriond 07: instead of one state, many ?

spectrum looks like

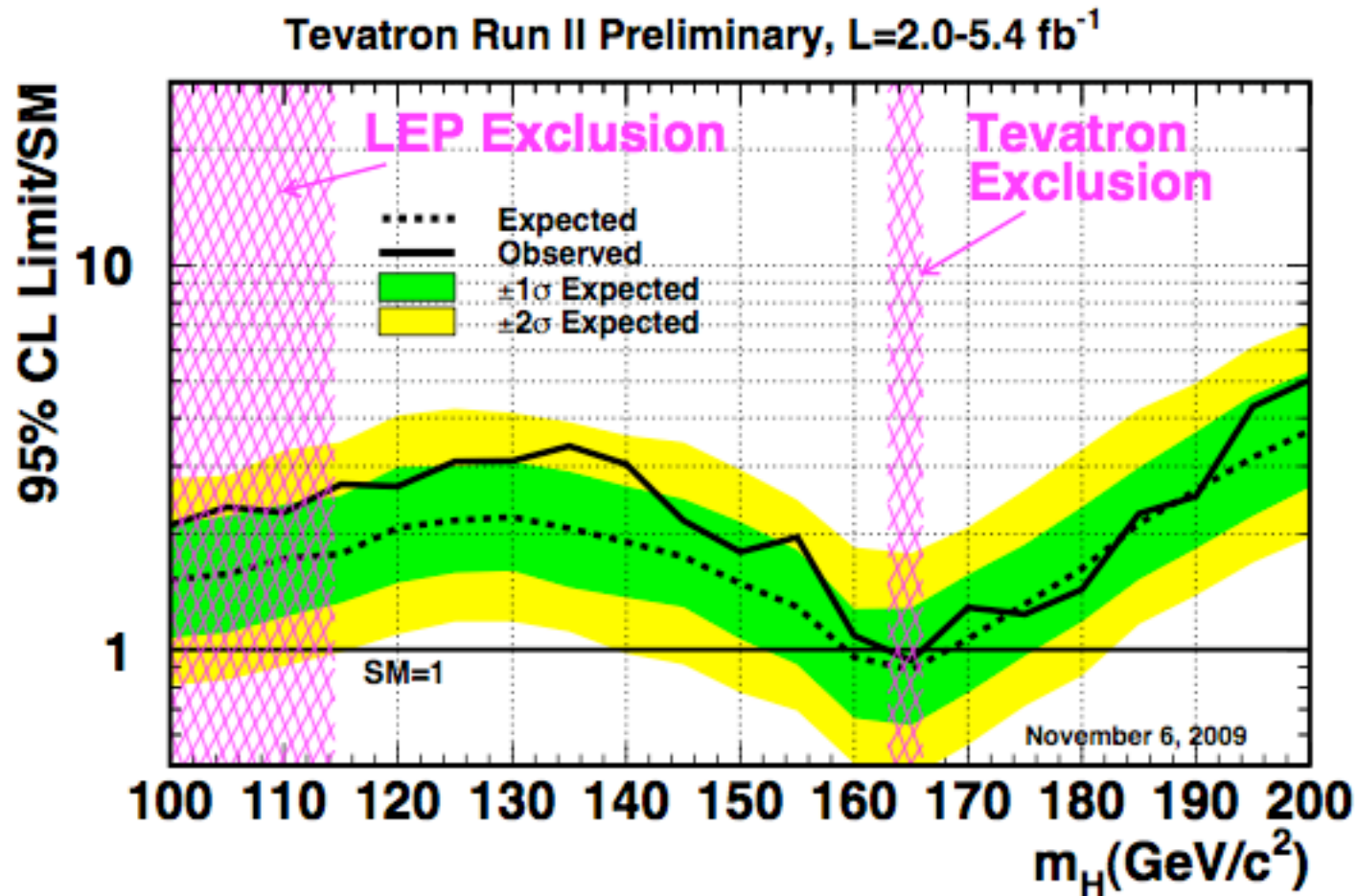


Yes, we can...

Yes, we can... miss the Higgs

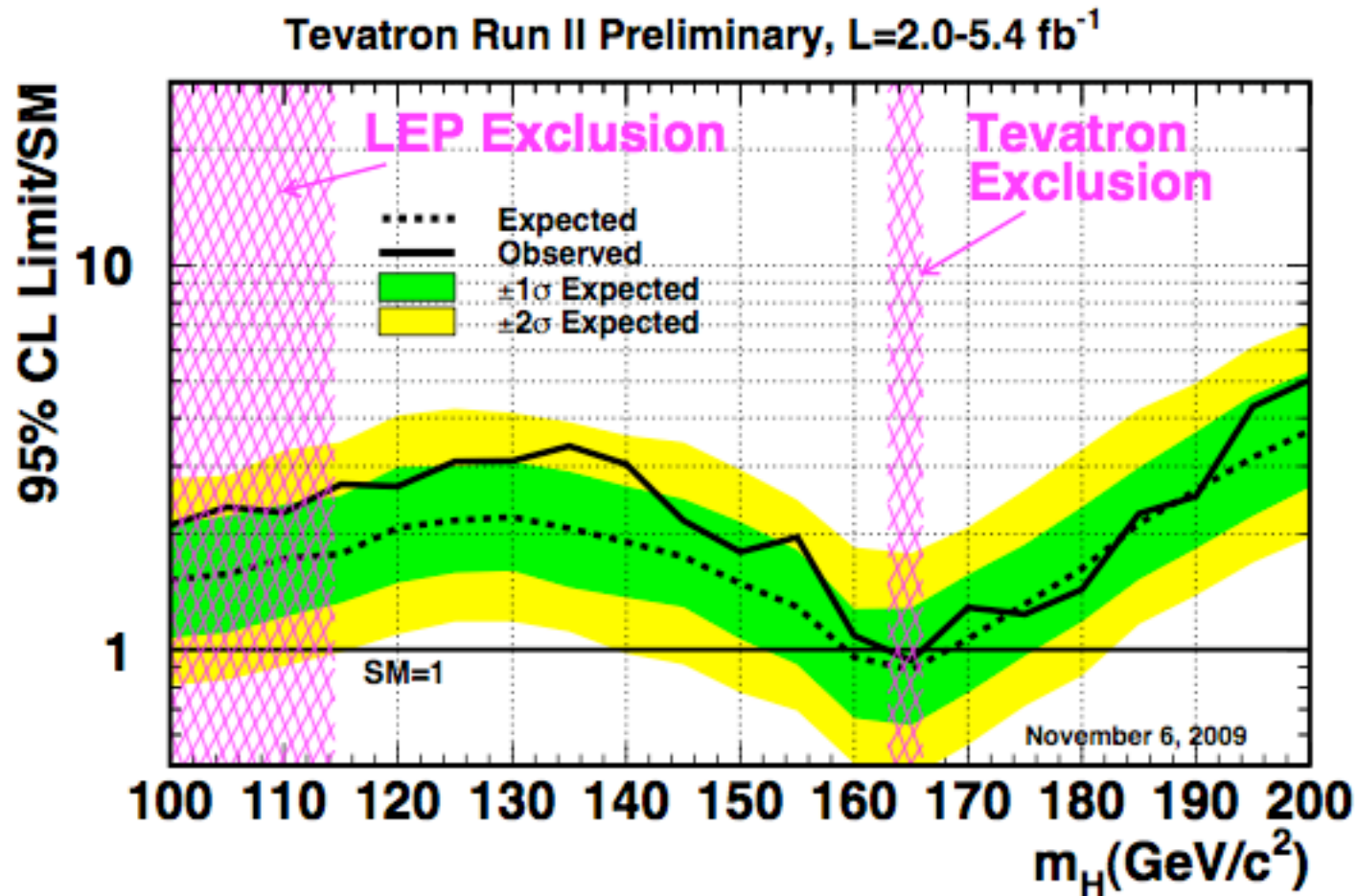
i.e. it is enough to add singlet scalar(s) to SM

Higgs search at the Tevatron



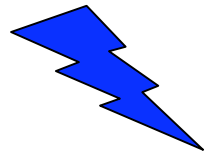
Btw: if this data are combined with LEP2 ones... what happens?

Higgs search at the Tevatron



Btw: if this data are combined with LEP2 ones... what happens?

ask Patrick Janot



BSM why nots

BSM why nots

Villadoro

* Go for simplicity: **SM + Z'**

$$Z'_{\mu} (g_Y J_Y + g_X J_X)^{\mu}$$

*** *only 3 new parameters:*

$$M_{Z'}, g_Y, g_X$$

*** *Z - Z' mixing angle:*

$$\tan \theta' = -\tilde{g}_Y \frac{M_{Z^0}^2}{M_{Z'}^2 - M_{Z^0}^2}$$

BSM why nots

Villadoro

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BSM why nots

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$$\mathbf{X} = \mathbf{B} - \mathbf{L}$$

$$\mathbf{X} = \mathbf{B} - 3\mathbf{L}_e$$

*** *Z - Z' mixing angle:*

$$\tan \theta' = -\tilde{g}_Y \frac{M_{Z^0}^2}{M_{Z'}^2 - M_{Z^0}^2}$$

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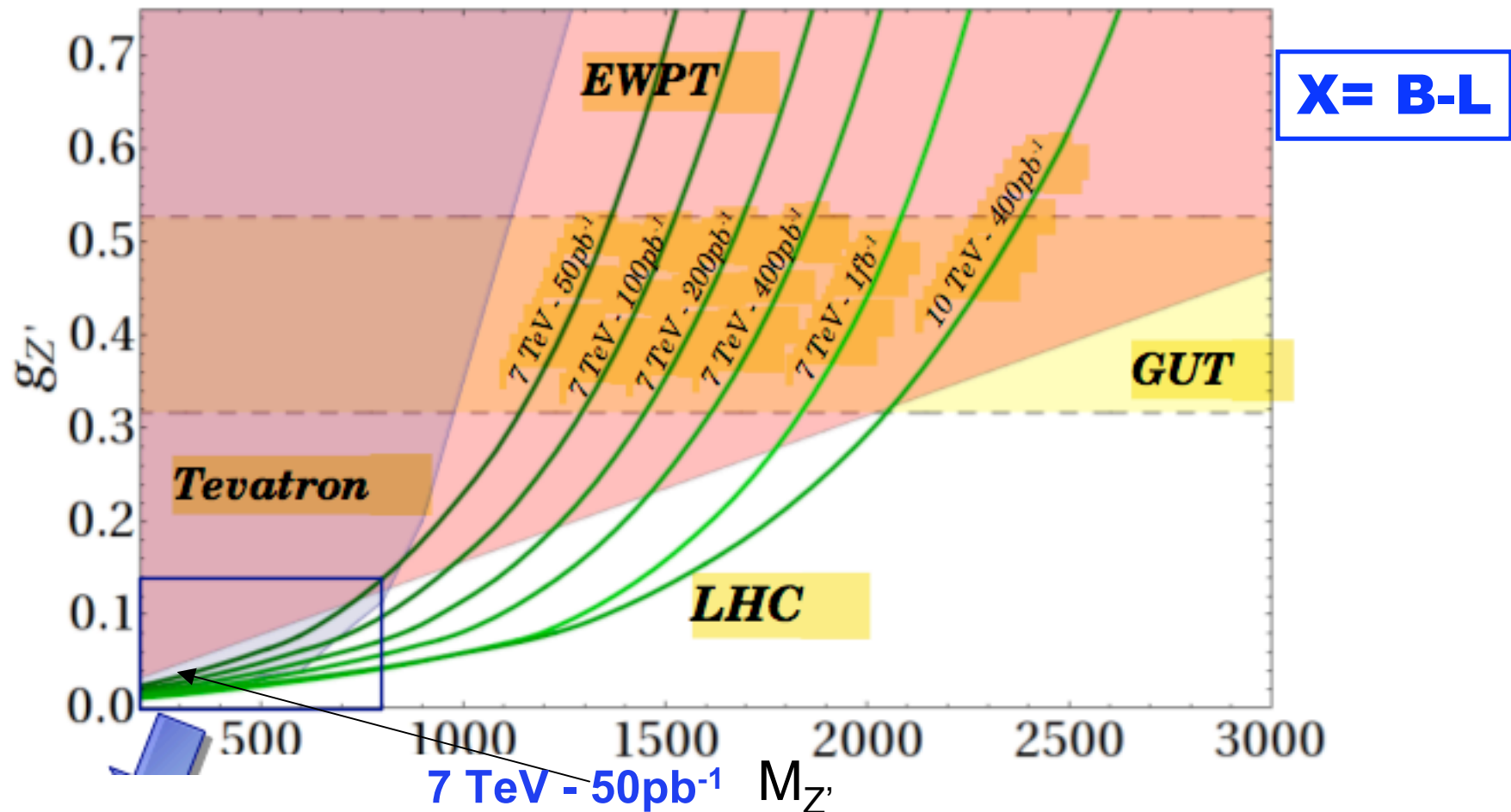
$$\mathbf{X} = \mathbf{L}_e - \mathbf{L}_{\mu}$$

BSM why nots

Villadoro

* Go for simplicity: **SM + Z'**

EWPT vs Tevatron vs LHC



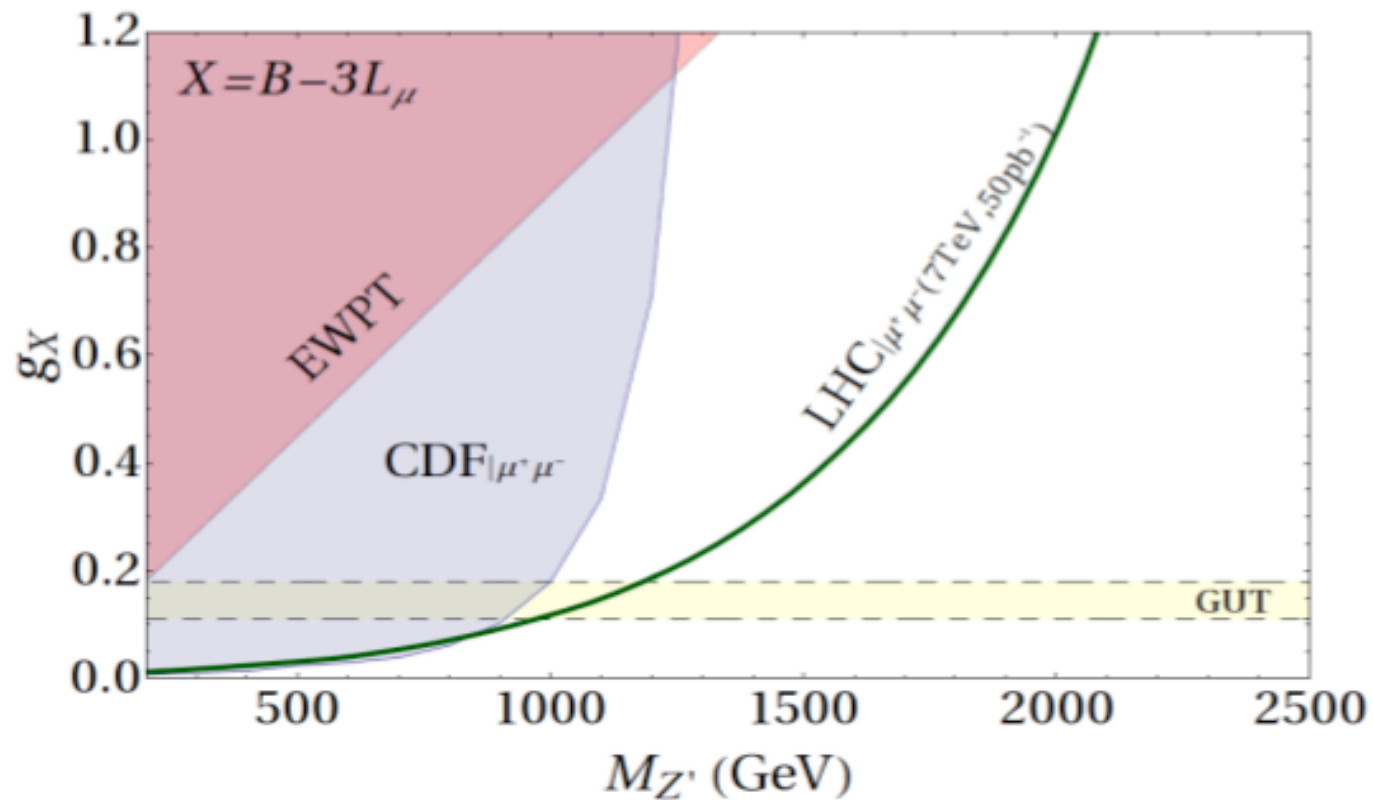
Villadoro

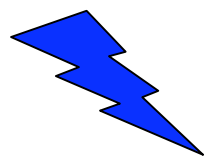
$$X = B - 3L_\mu$$

Gauge inv. --> FCNC OK

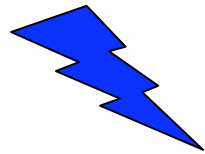
easily accessible at very early LHC

e.g. 7 TeV & 50 pb⁻¹





FLAVOUR news



FLAVOUR news

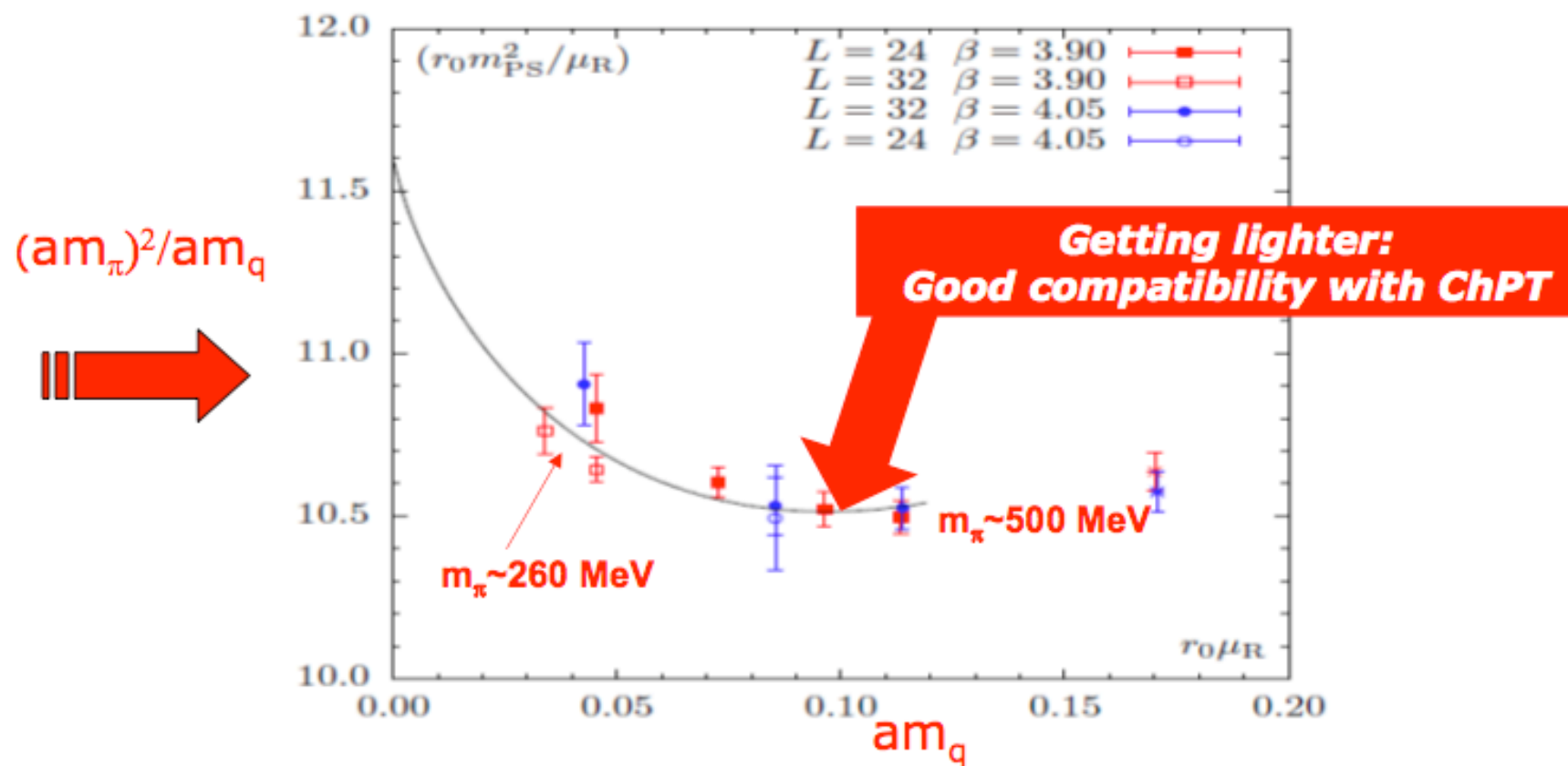
From Lattice QCD

Lattice QCD

Now you SEE the chiral logs

Mescía

$$m_\pi^2 = M^2 \left[1 + \frac{M^2}{32\pi^2 F^2} \log(M^2/\Lambda_3^2) + \dots \right], \quad M^2 = 2Bm$$



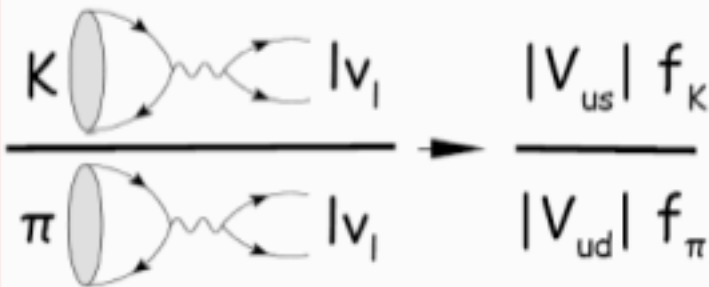
Pion mass in the lattice down to 156 MeV !

Pion mass in the lattice down to 156 MeV !

Large impact of chiral improvement on
weak matrix elements on the lattice
which are essential to extract V_{CKM} from data

Lattice enters high precision era

f_K/f_π : an example of Modern lattice measure



The diagram shows two rows of Feynman diagrams. The top row is for a K meson (K) and the bottom row is for a pi meson (pi). Each row shows a meson (represented by a shaded oval) decaying into two leptons (represented by two lines meeting at a vertex) via a virtual photon (represented by a wavy line). The top row is labeled $|V_l$ and the bottom row is labeled $|V_l$. An arrow points from the top row to the bottom row, indicating a ratio or comparison. The top row is associated with the expression $|V_{us}| f_K$ and the bottom row with $|V_{ud}| f_\pi$.

Hadronic uncertainties from

$$\langle 0 | \bar{s} \gamma^\mu \gamma_5 u | K \rangle = p^\mu f_K$$

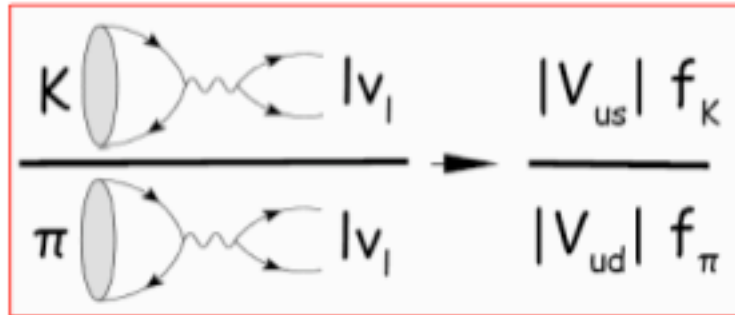
$$\langle 0 | \bar{d} \gamma^\mu \gamma_5 u | \pi \rangle = p^\mu f_\pi$$

Mescia

Lattice enters high precision era

< %

f_K/f_π : an example of Modern lattice measure



Hadronic uncertainties from

$$\langle 0 | \bar{s} \gamma^\mu \gamma_5 u | K \rangle = p^\mu f_K$$

$$\langle 0 | \bar{d} \gamma^\mu \gamma_5 u | \pi \rangle = p^\mu f_\pi$$

$K \rightarrow l \nu$: exp. err 0.2%

lattice err. on f_K/f_π :

2-3% (2006) $\rightarrow$ 0.7% (2010)



$$f_K/f_\pi = 1.192 \pm 0.009 \text{ [0.75%]}$$

More quark flavour

Minimal Flavour violation (MFV)

- Flavour data (i.e. B physics) consistent with all flavour physics coming from Yukawa

MFV Hypothesis $\equiv$ The Yukawas are the only sources (*irreducible*) of flavour violation. in BSM

R. S. Chivukula and H. Georgi, Phys. Lett. B **188**, 99 (1987).

It is very predictive for quarks:

$$O^{d=6} \sim \bar{Q}_\alpha Q_\beta \bar{Q}_\gamma Q_\delta$$

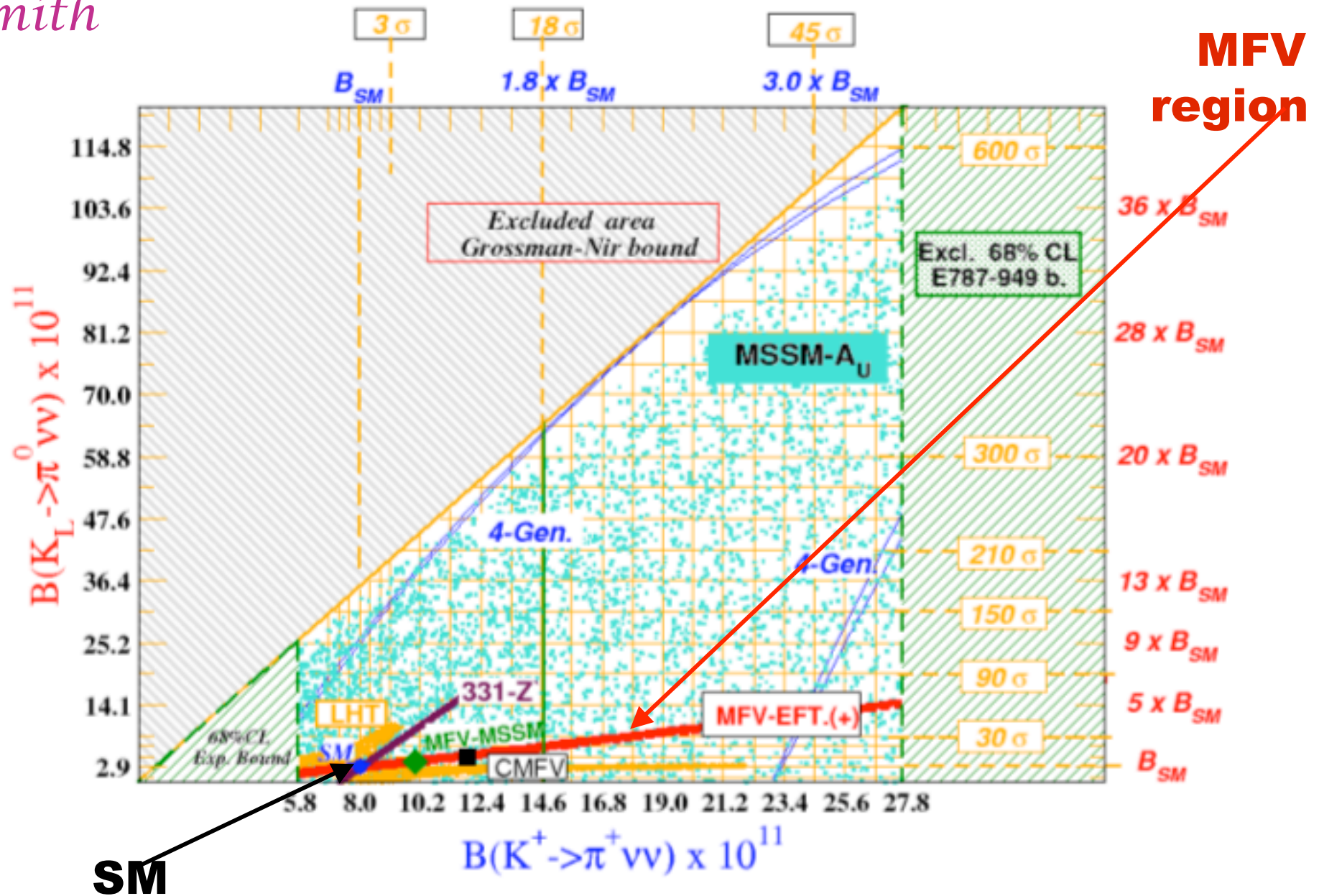
$$\mathcal{L} = \mathcal{L}_{SM} + c^{d=6} \frac{O^{d=6}}{\Lambda_{\text{flavour}}^2} + \dots$$

known function of Yukawas

(D'Ambrosio, Cirigliano, Isidori, Grinstein, Wise....Buras....)

I. NA62 main targets are the rare K decays ($Br \lesssim 10^{-11}$), e.g. $K^+ \rightarrow \pi^+ \nu \bar{\nu}$ 5

Smith



Minimal Flavour violation (MFV)

- Unitarity of CKM first row:

$$|V_{ud}|^2 + |V_{us}|^2 + |V_{ub}|^2 = 0.9999 \pm 0.0006$$

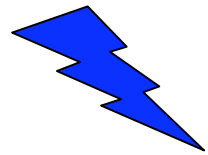
- *Restrict to flavour blind ops. $\rightarrow$ 4 operators
- Correction is only multiplicative to β and μ decay rate

- The direct experimental limit puts strong constraints on all 4 operators, at the level of the colliders constraints or better.

$$\Delta_{CKM} = -(0.1 \pm 0.6) \cdot 10^{-3}$$



$$\Lambda_i^{eff} > 11 \text{ TeV (90\% CL)}$$



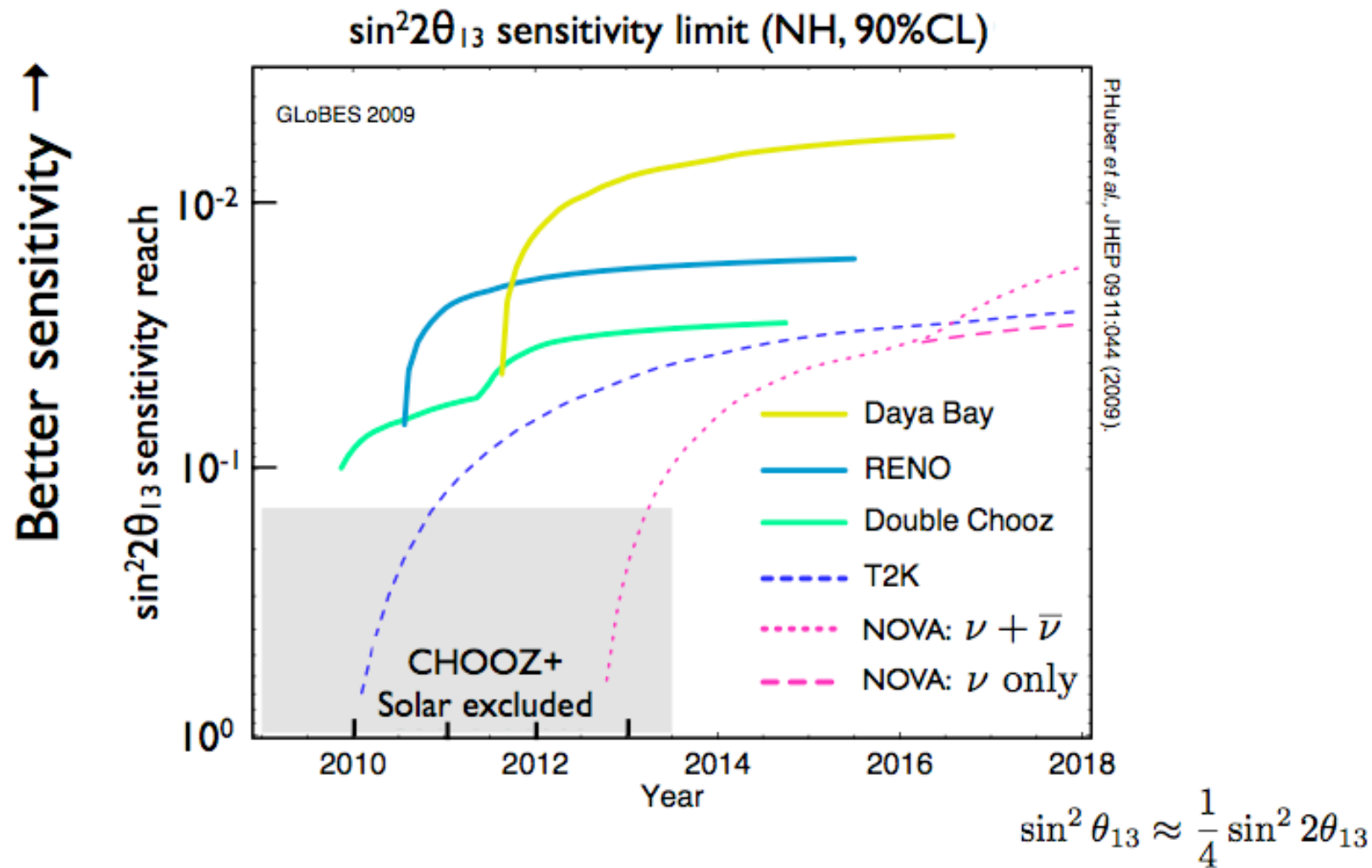
Neutrinos

$$\theta_{13} \neq 0$$

is the remaining key to measure **leptonic CP violation**

After some quiet expt. years..... >

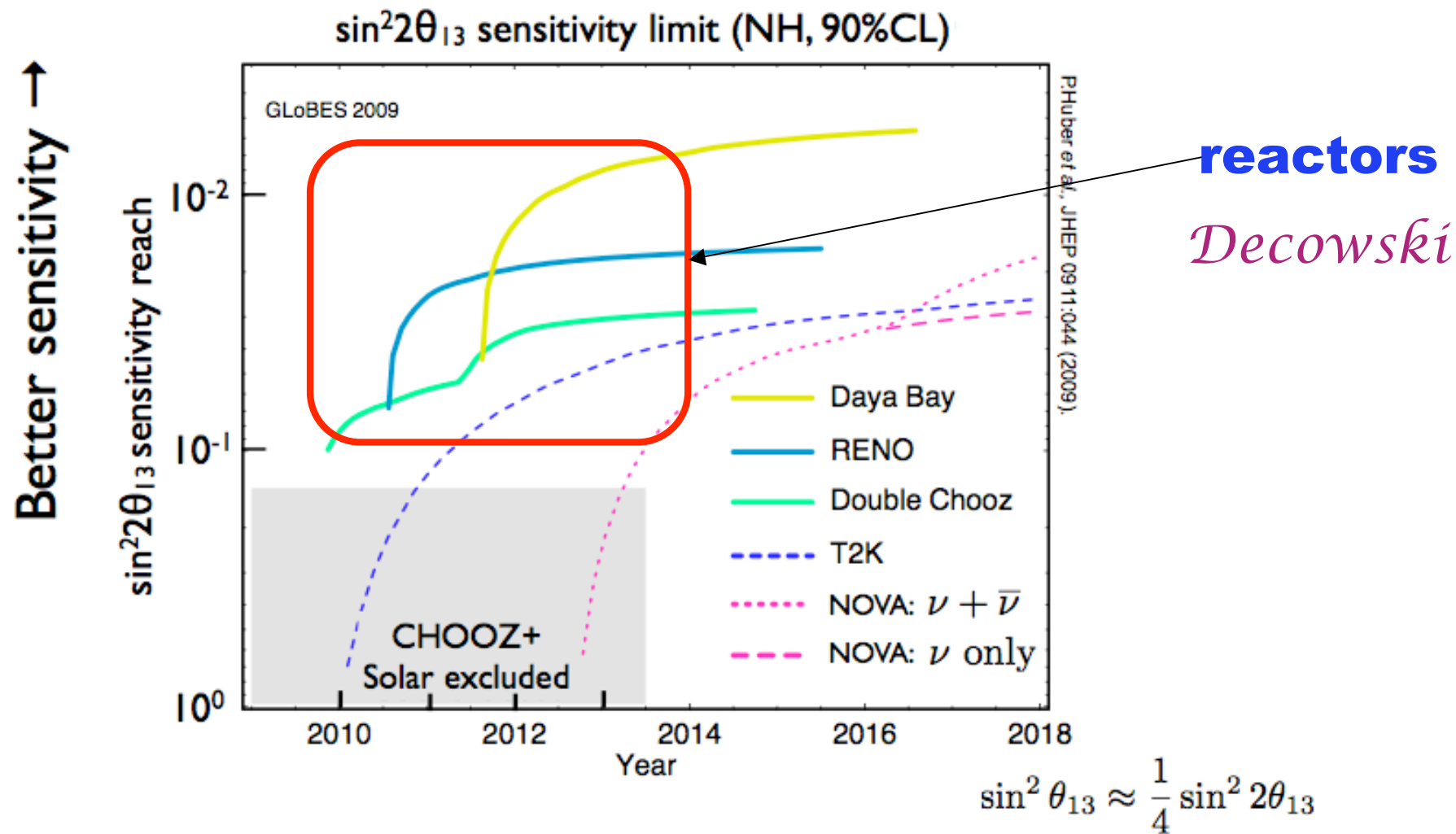
θ_{13}



Reactor experiments will find or put best limit on θ_{13}

After some quite expt. years..... >

θ_{13}

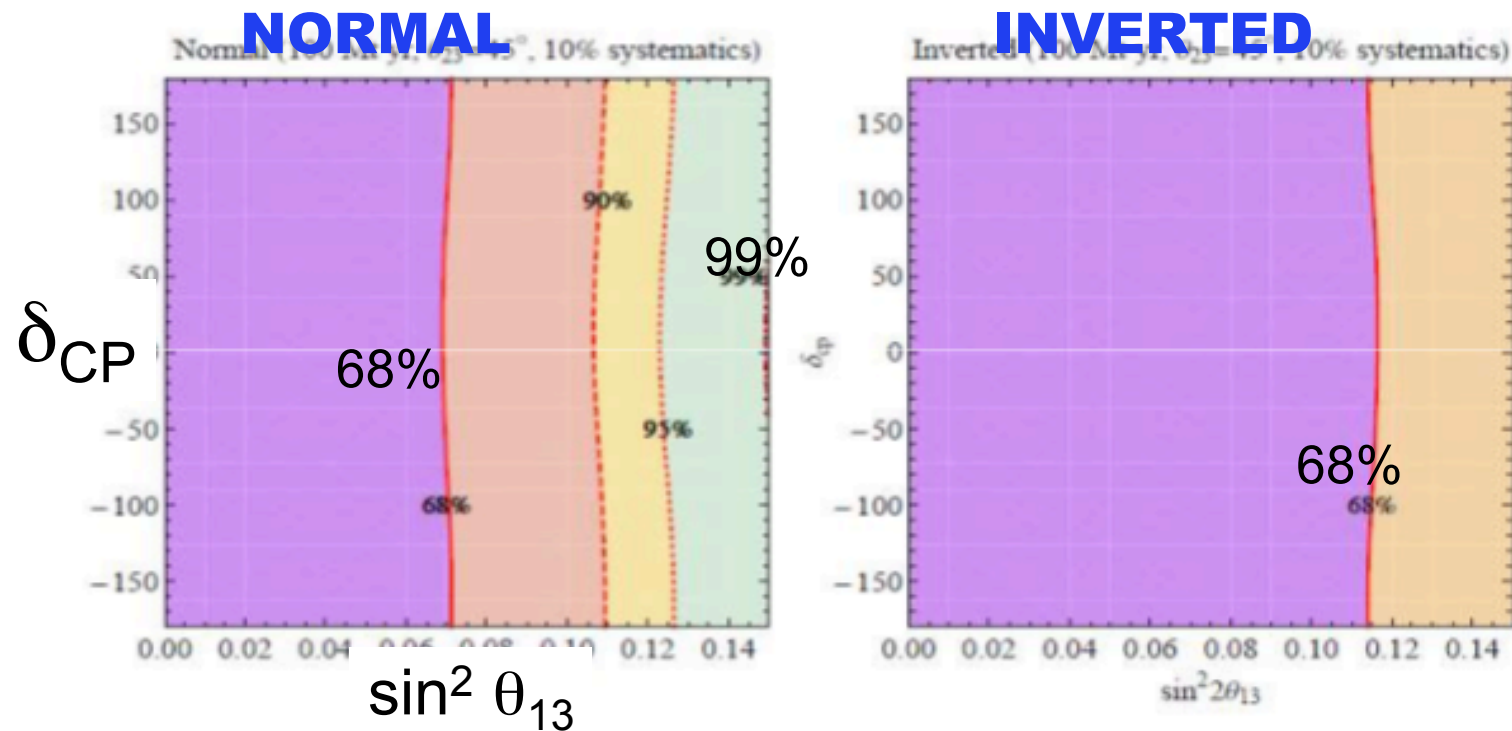


Reactor experiments will find or put best limit on θ_{13}

* *Miciou*

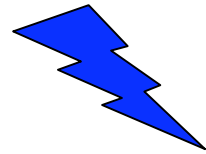
Icecube Deep Core

Sensitivity to **Neutrino hierarchy** if θ_{13} large



A chance to discovery in the next 5-10 years?? **Tough**

* *Dasgupta* : with SN Vs, sensitivity to hierarchy even for $\theta_{13} \rightarrow 0$



Dark matter

Visible matter

We ~understand particles = excitations

We DO NOT understand the vacuum

Dark matter

We ignore both vacuum and excitations

- * Dark matter may feel only gravity

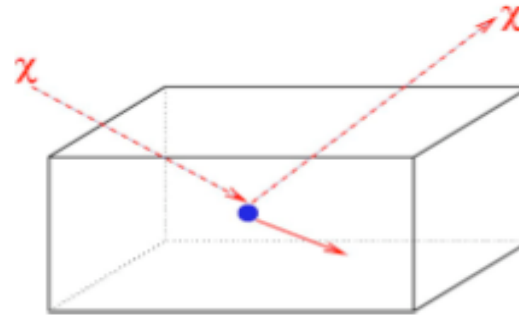
- * Yet, it had to be created somehow ---> interactions?

We should look for those interactions.

- * Dark matter particles can have any mass down to $< \text{GeV}$

Green'

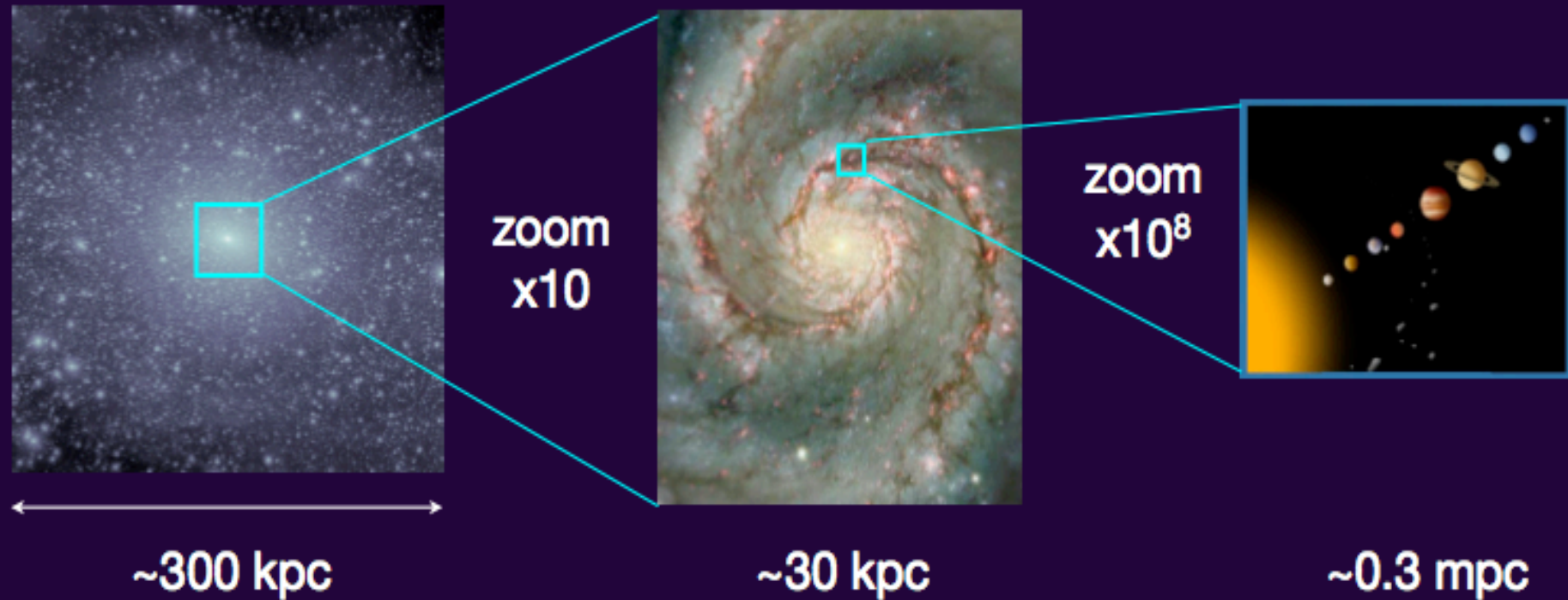
Direct detection is the only way of observing the ultralocal DM distribution



**We have got a rough idea of what the density and velocity distributions of dark matter are.
(Still mainly without including baryons)**

- * Until about 2 years ago, the halo models were treated analytically
- * Simulations are now available

i) scales resolved by simulations are many orders of magnitude larger than those probed by direct detection experiments

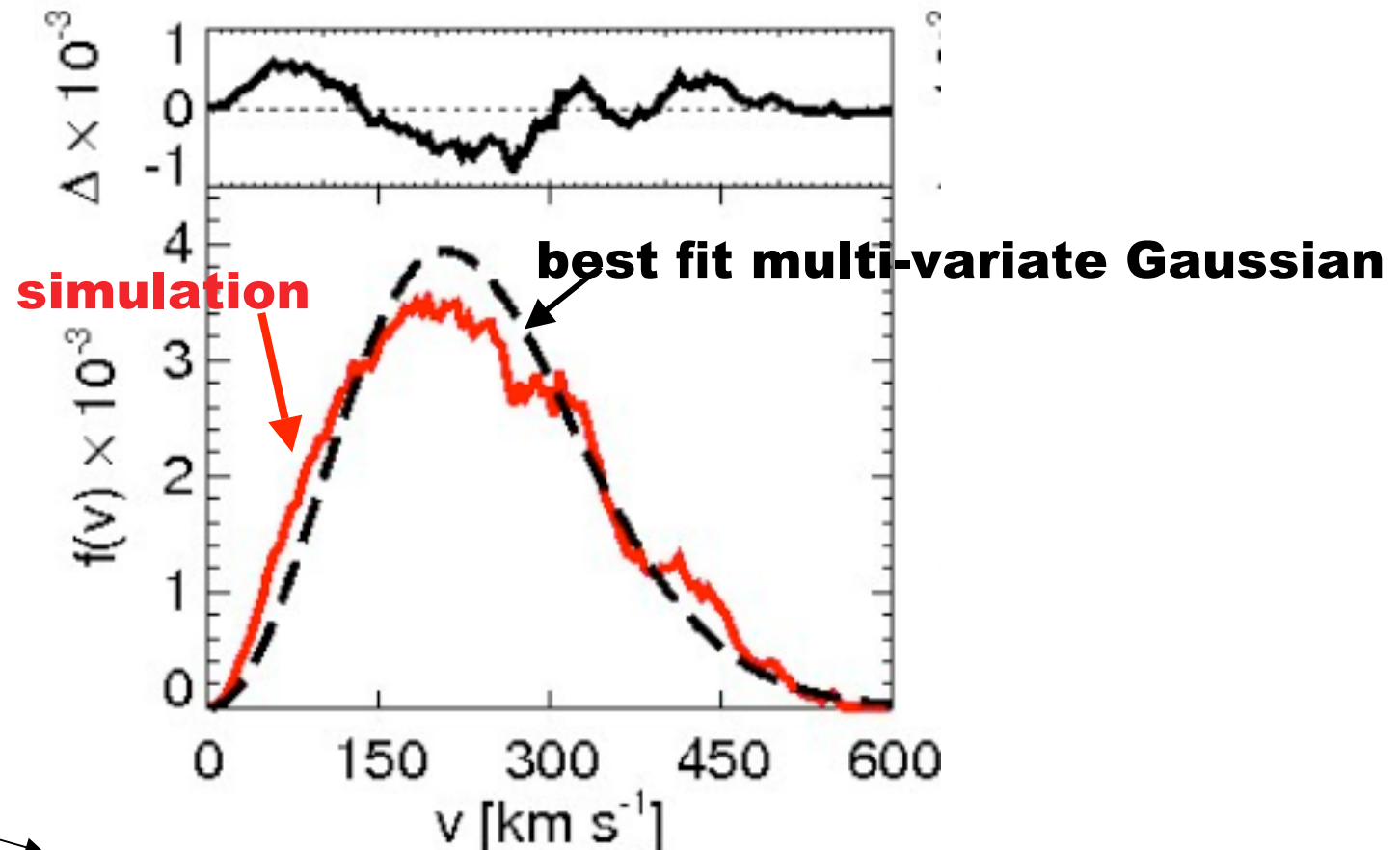


Vogelsberger and White: no fine structure in ultra-local DM distribution

**Simulations: deviations from standard halo model
smaller than feared**

Green

Speed distribution



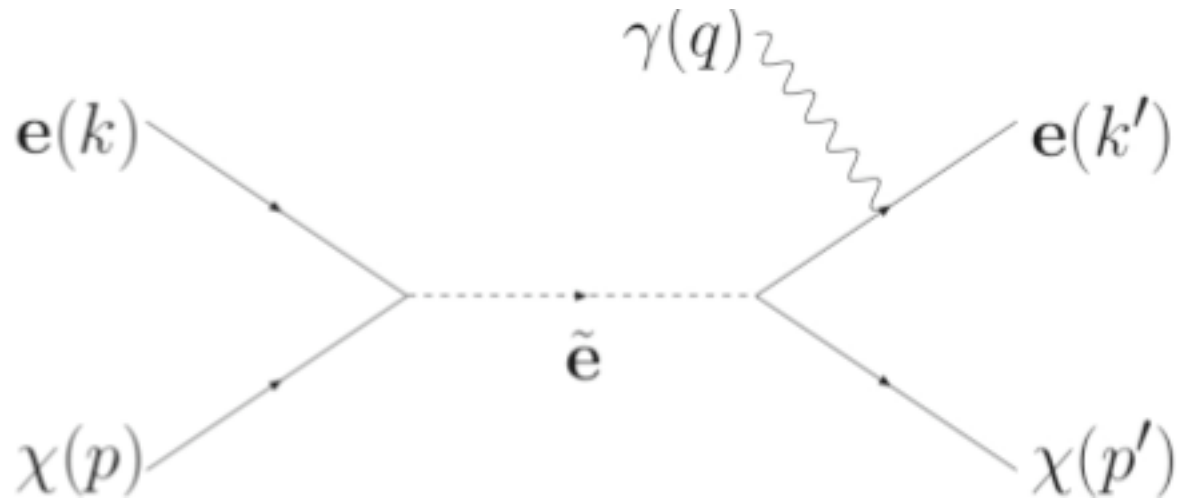
Typical WIMP →

Effect of changing *shape* of speed distribution: <5% systematic

.... error larger for light (GeV) dark matter mass

- AGN jets and dark matter

Electron in the jet + DM $\rightarrow$ selectron $\rightarrow$ DM+e+**gamma**

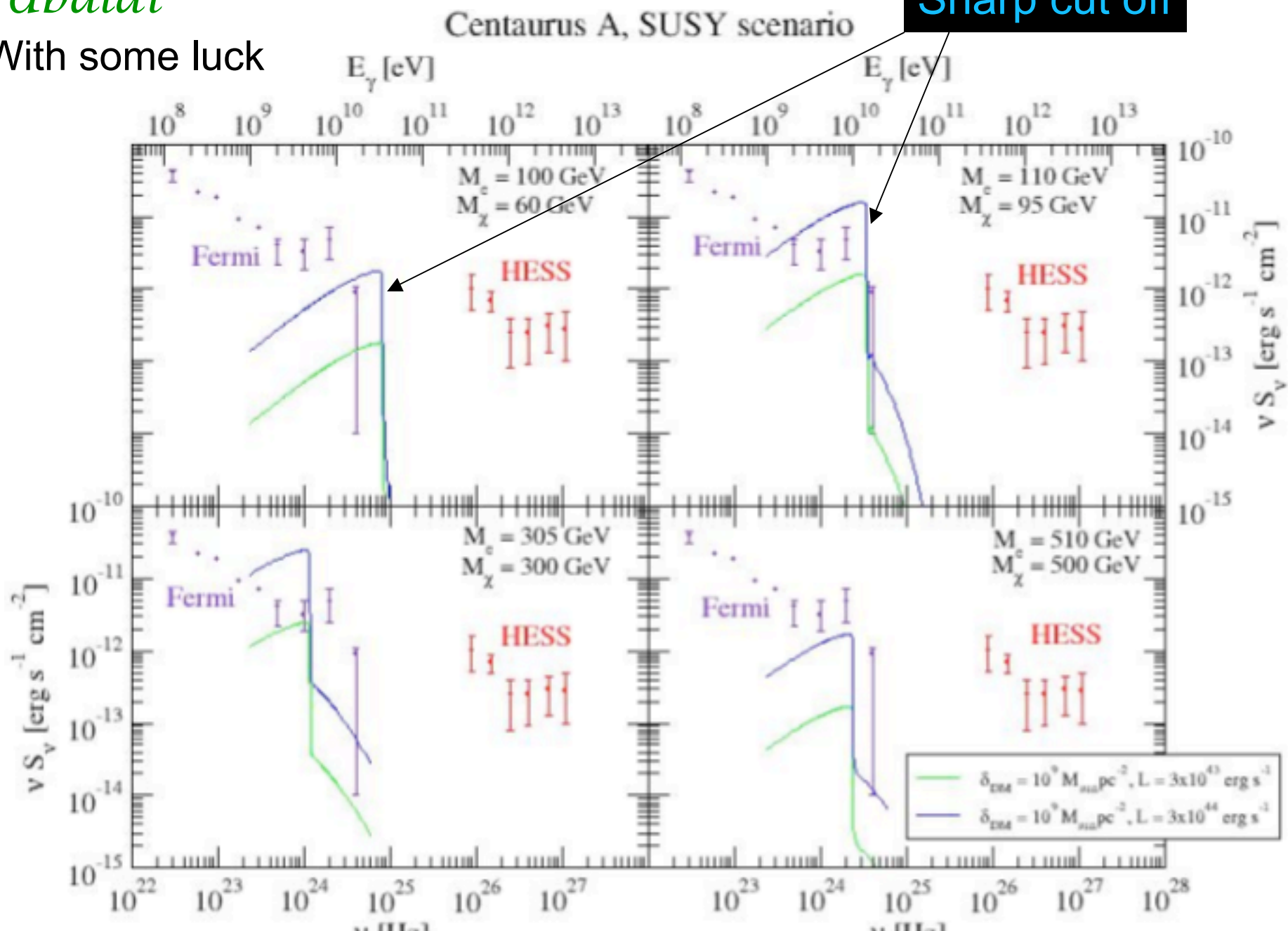


(Isotropic) Gamma spectrum cuts off sharply for e at rest

Ubaldi

With some luck

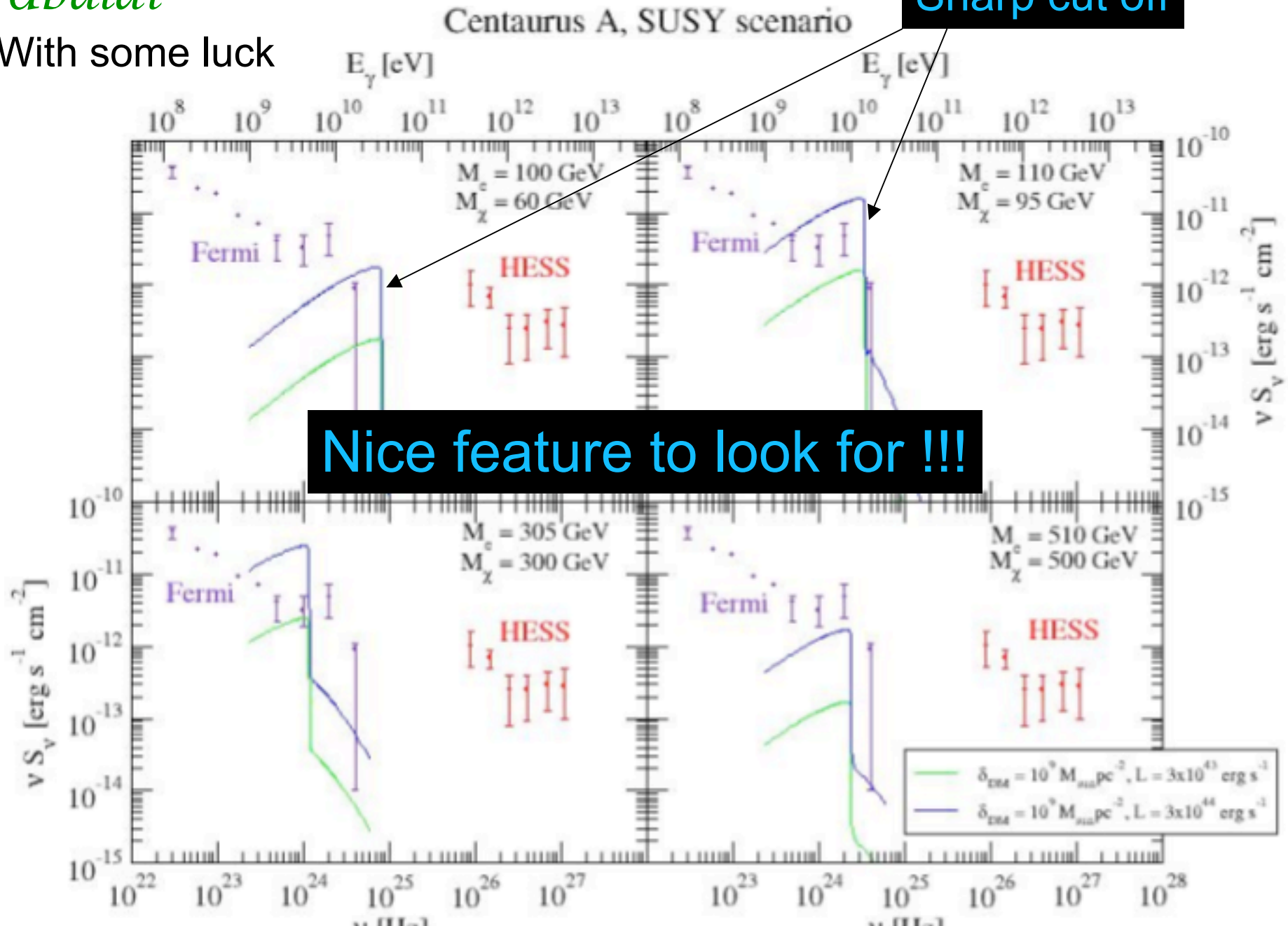
Sharp cut off



Ubaldi

With some luck

Sharp cut off



Servant

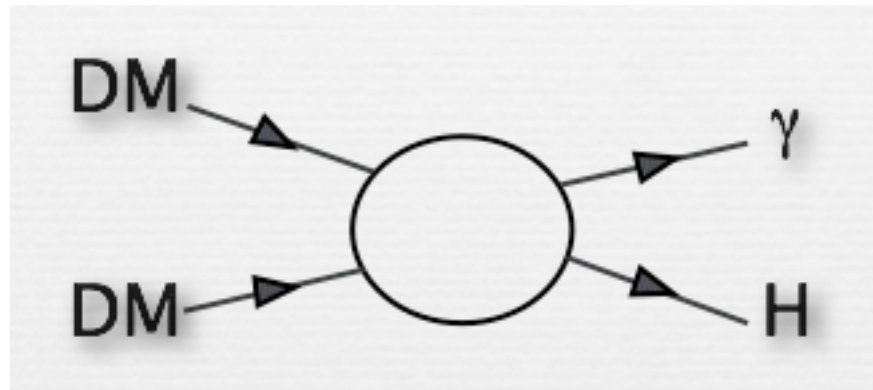
WIMPS ?

→ a particle with a typical Fermi-scale cross section $\sigma_{\text{anni}} \approx 1 \text{ pb}$ leads to the correct dark matter abundance.

Are DM and EW symmetry breaking related ? If so, wimps may have enhanced couplings to massive states, top, W/Z, H etc.

Indirect detection

For

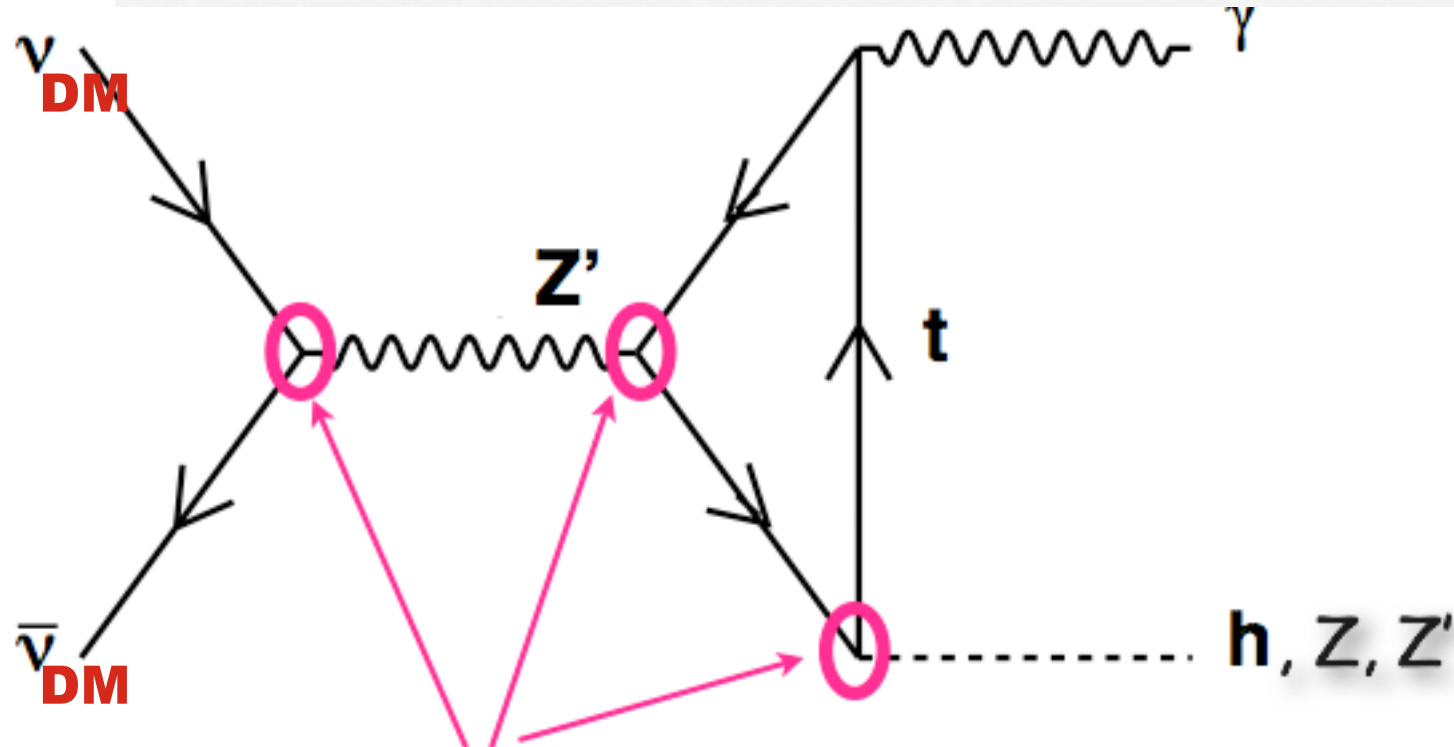


several ad hoc but SIMPLE models

Servant

Simple model to explore “Fermi-like” reach

Dirac fermion DM annihilation into γH



$\sim O(1)$ couplings

If such signal seen --> DM is Dirac fermion or vector

DM = Axion-like particles

Magnetic fields in the galaxy convert photons to axions and back

Directional correlations of the foreground magnetic field of the galaxy and distant sources can provide novel information on axion-like particles

Conclusion

**Thank you very much
for trying so passionately
to understand nature**

Other topics + Back-up

“ Setting to zero those ~ 100 parameters is not a fine tuning
but an ansatz “

Agreed, it is not a fine tuning....

it is a brutal tuning unless a new symmetry is advocated

which one ?

If you do not care about naturalness, fine

But then: why did you start this game?

Gripaios

Composite ----> Strong dynamics

Strong dynamics is good to give masses to W, Z

i.e. Technicolor , etc.

The main trouble also here used to be the FERMION WALL

Gripaíos

Composite ----> Strong dynamics

Global symmetry $SO(6)/SO(5)$

BMG, A. Pomarol, F. Riva, J. Serra, 0902.1483

- ▶ Light d. o. f.: SM Higgs plus **singlet**
- ▶ The singlet can be **light**
- ▶ Non-standard Higgs decays: $h \rightarrow 2\eta \rightarrow 4f$

Higgs is a ~goldstone boson of the global symmetry

FCNC remedy fermion masses through heavy sector

$$\text{Linearly: } \mathcal{L} \subset y_L f_L \theta_R + y_R f_R \theta_L + g \theta_L \theta_H \theta_R$$

strong sector

D. B. Kaplan, 1991

In other words: SM fermions mix with heavy fermions

Gripaios

Strong sector scale Λ , alike to Λ_{QCD} , $\Lambda \sim 4 \pi v$

FCNC + EW corrections $\rightarrow \Lambda \sim 3 \text{ TeV} \rightarrow v \sim 500 \text{ GeV}$

but we need $v = 250 \text{ GeV}$

$\rightarrow$ tuning of 20% in v^2

What is the complete theory? ... problems postponed

Signals: $\sim 50\%$ modified Higgs couplings to fermions, W 's, g 's...

$\rightarrow \Delta_{ijH}$ analysis in *Rauch's* talk (plus exotics)

$\text{mass}(\nu) \neq 0$ ---> **new physics** scale

plausibly Majorana

- Discover other **new** physics in neutrino **interactions ?**

Unfortunately **no smoking gun** of seesaw(s) expected
within reach

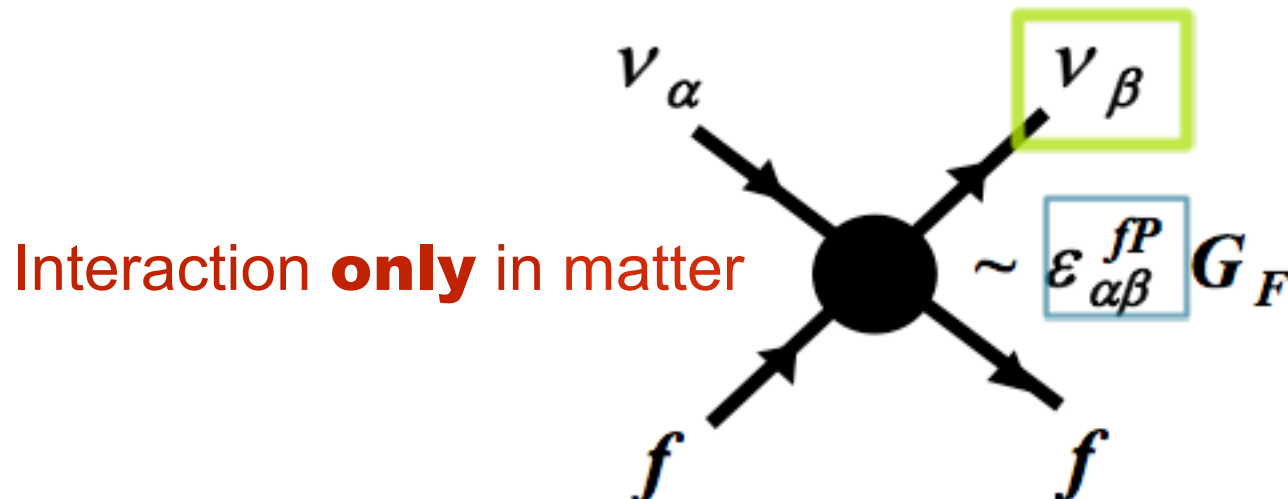
Why not try anyway ?

i.e. Neutrinos are optimal probes of environmental new forces

Okí

Neutrino Oscillation with Non Standard Interaction **NSI**

$$L_{eff}^{NSI} = -\boxed{\varepsilon_{\alpha\beta}^{fP}} 2\sqrt{2}G_F (\bar{\nu}_\alpha \gamma_\rho L \nu_\beta) (\bar{f} \gamma^\rho P f')$$



Can mimic θ_{13} ?

T2KK may bound/measure

$$|\varepsilon_{ee}| \leq 1.0, |\varepsilon_{e\tau}| \leq 0.15$$

Interaction **only** in matter

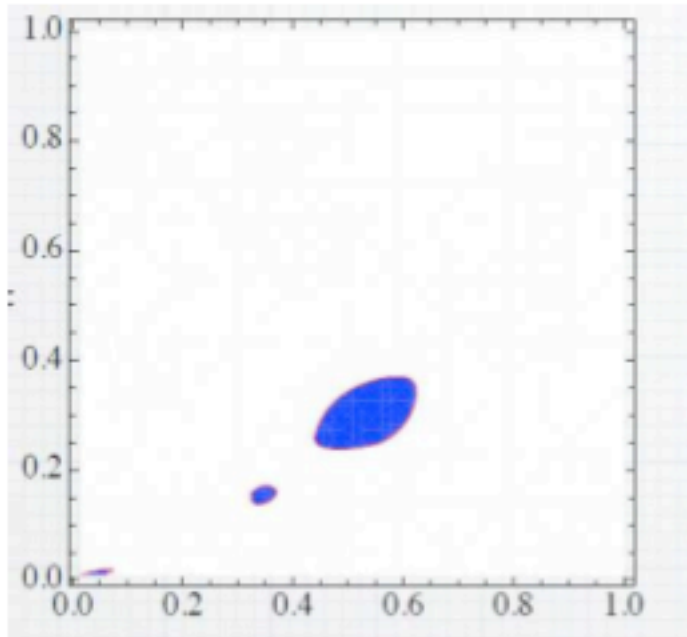
And not also in production and detection

requires tuning/cancellations among higher order
gauge invariant operators
??

i.e. in the (unobservably small) the NSI interactions
characteristic of seesaws,
production + propagation + detection
ARE correlated

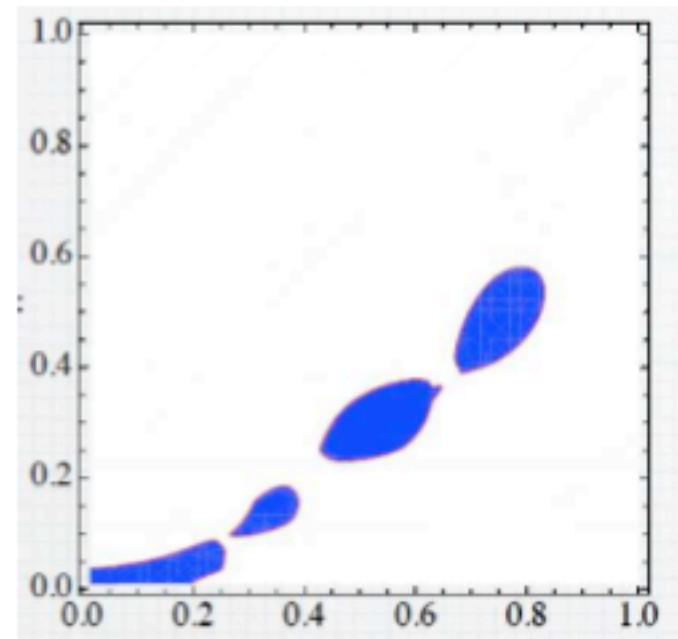
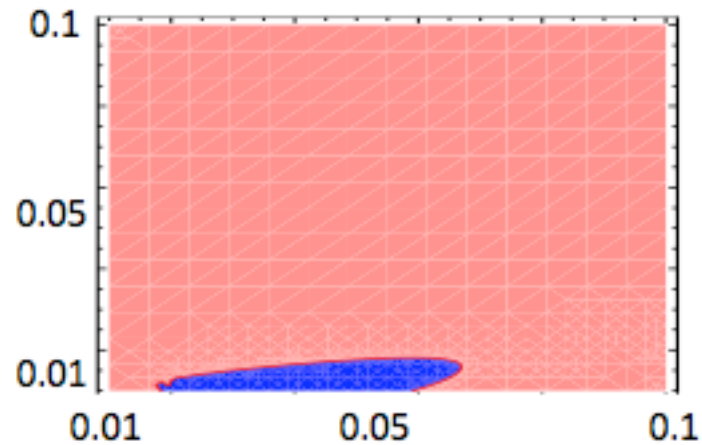
Miciou

Again interaction **only** in matter



$E_{\tau} - E_{\pi}$

Preliminary
Icecube Deep Core



Comparable to *Ok*'s sensitivity to T2KK ?

Nemevsek

Triple spin correlations

in muon decay

- Form a triple spin correlation $(\vec{s}_\mu \times \vec{s}_e) \cdot \vec{p}_e$

Maybe CP-violation signal in L-R seesaw models

Even if measured, how can we differentiate

seesaw-related CP

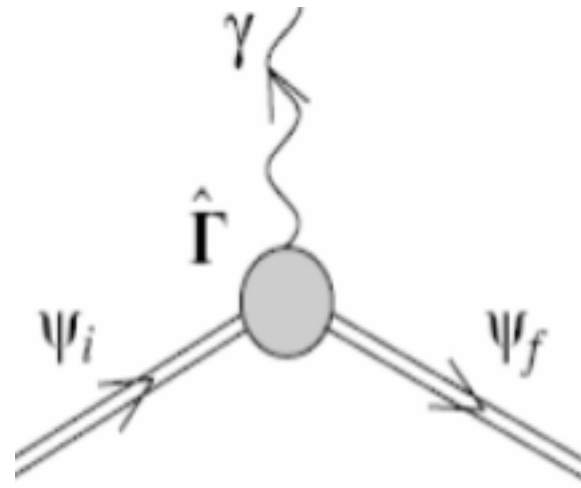
from

other CP sources

?

$$\nu_i \rightarrow \nu_j + \gamma$$

$$m_i \neq m_j$$



- γ is coupled to *neutrinos* by transition magnetic moment μ_ν ✓
- high density of matter $n \sim 10^{37} \div 10^{40} \text{ cm}^{-3}$
(neutron stars)

Billard Directional detection of DM

MIMAC, DRIFT, DM-TPC and NEW AGE
will measure the nuclear-recoil direction

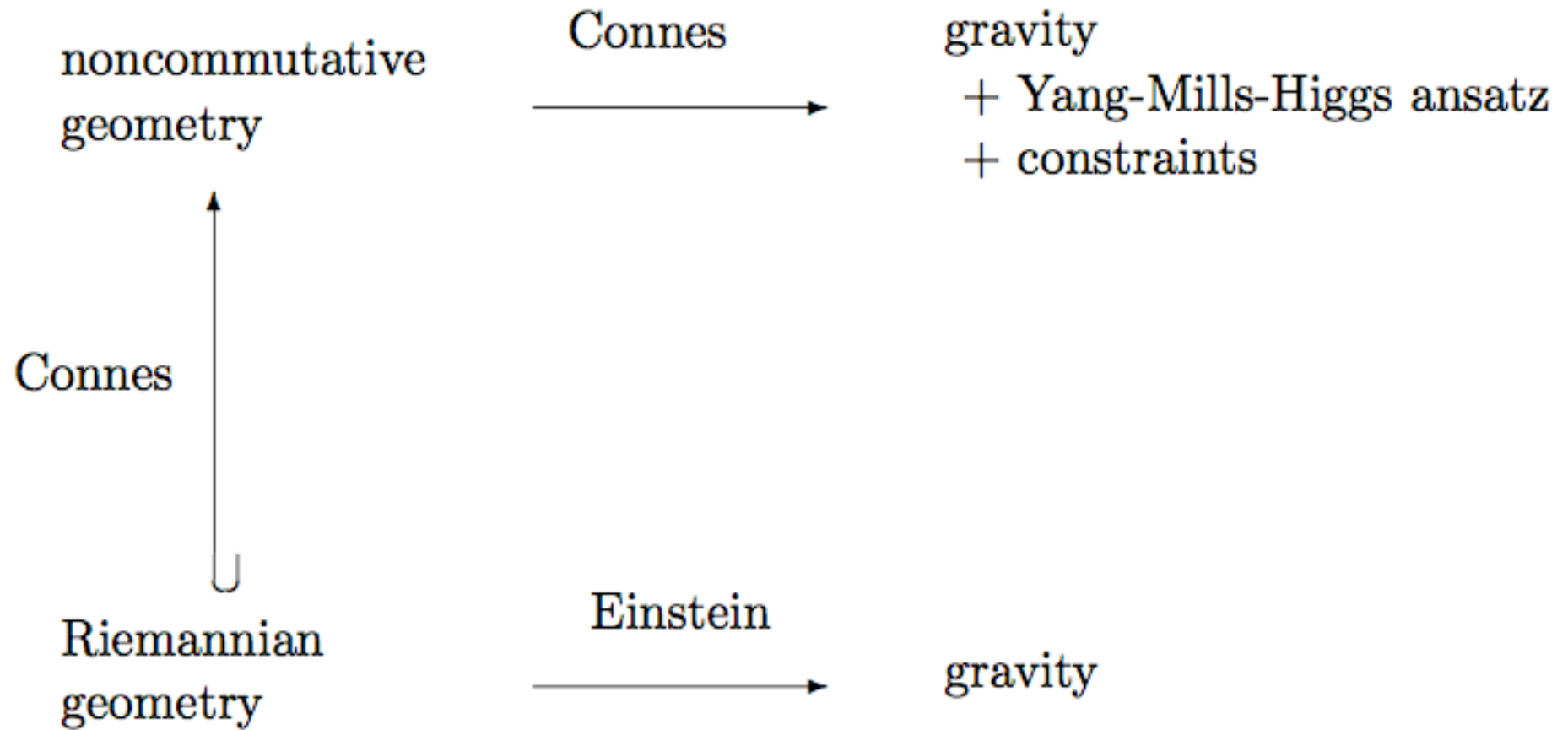
Backgrounds are isotropic !
(or have a tractable angular distribution)

A neat Likelihood analysis allows one to reconstruct the
INCOMING DM-particle's directional distribution

➔ The direction planet Earth is moving in an assumed
Non-rotating Galactic halo

Back up

Schucker

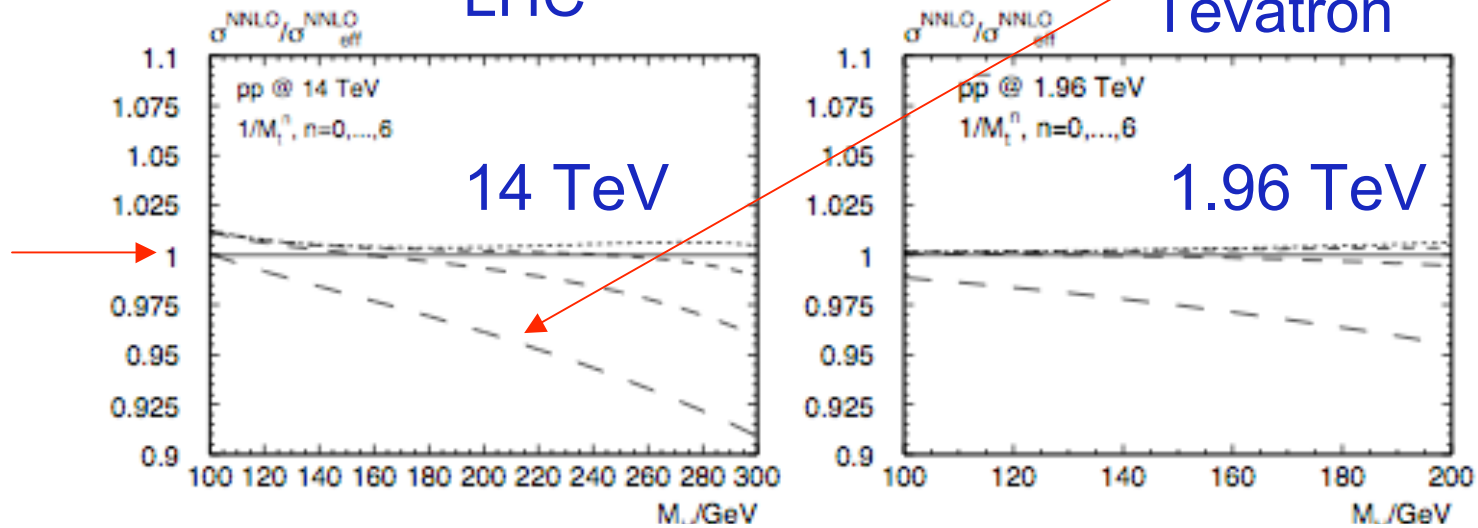


Higher orders in $1/m_{\text{top}}$

$$\sigma^{\text{NNLO}}/\sigma^{\text{NNLO}}_{\text{eff}}$$

LHC

Tevatron



*The itchiness (or Higgchiness?)
in the air
of the Tevatron era*

... as we are almost “touching” the vacuum
quantum numbers