

# The Hypercharged Anomaly-Mediated Supersymmetry Breaking Model

*Théorie - LHC France*

Shibi Rajagopalan

University of Oklahoma  
Homer L. Dodge Dept. of  
Physics and Astronomy

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# Introduction

## Authors

Introduction

HCAMSB Model

HCAMSB Spectrum

Signatures

Summary

- ▶ Hypercharged Anomaly Mediation

Radovan Dermisek, Herman Verlinde, Lian-Tao Wang

Phys.Rev.Lett.100:131804,2008

arXiv:0711.3211 [hep-ph]

- ▶ Prospects for Hypercharged Anomaly-Mediated SUSY  
Breaking at the LHC

H. Baer, R. Dermisek, S. Rajagopalan, H. Summy

# Introduction

## Overview

Introduction

HCAMSB Model

HCAMSB Spectrum

Signatures

Summary

- ▶ Describe the HCAMSB model.
- ▶ Look at the mass spectrum + p-space.
- ▶ Look at signatures.

# HCAMSB

## Anomaly Mediation

Introduction

**HCAMSB Model**

HCAMSB Spectrum

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## Soft Parameters in SUGRA Models

# HCAMSB

## Anomaly Mediation

## Soft Parameters in SUGRA Models

Visible Sector  
(MSSM)

Hidden Sector  
(SM Gauge Singlets)

# HCAMSB

## Anomaly Mediation

### Soft Parameters in SUGRA Models

Visible Sector  
(MSSM)

tree-level  
-----  
gravitational int.

Hidden Sector  
(SM Gauge Singlets)

# HCAMSB

## Anomaly Mediation

## Soft Parameters in SUGRA Models

Visible Sector  
(MSSM)

tree-level  
-----  
gravitational int.  
+  
additional  
1-loop contribution  
(super-Weyl anomaly)

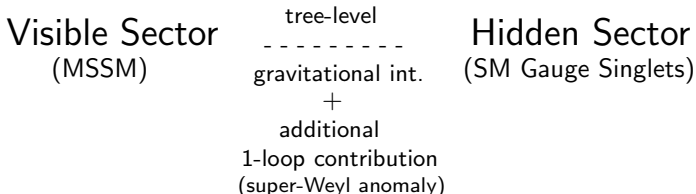
Hidden Sector  
(SM Gauge Singlets)



# HCAMSB

## Anomaly Mediation

### Soft Parameters in SUGRA Models



Tree-level suppression  $\iff$  *Extra Dimensions*

# HCAMSB

## Anomaly Mediation

## Soft Parameters in SUGRA Models

AMSB is nice because. . .

# HCAMSB

## Anomaly Mediation

## Soft Parameters in SUGRA Models

AMSB is nice because. . .

- ▶ all soft terms depend on single parameter:  $m_{3/2}$
- ▶ solves SUSY flavor and CP problems
- ▶ soft contributions are scale invariant

# HCAMSB

## Anomaly Mediation

## Soft Parameters in SUGRA Models

AMSB is nice because...

- ▶ all soft terms depend on single parameter:  $m_{3/2}$
- ▶ solves **SUSY flavor** and **CP** problems
- ▶ soft contributions are **scale invariant**

However AMSB alone is problematic:

- ▶ well known that sleptons are tachyonic:  $m_{sleptons}^2 < 0$
- ▶ Adhoc  $m_0$  bumps up those masses  
⇒ soft terms no longer RGE invariant

## Soft Contributions in mAMSB Models

*Parameter Space:*

$$m_0, m_{3/2}, \tan\beta, \text{sign}(\mu)$$

*RGE's:*

$$M_a = \frac{b_a g_a^2}{16\pi^2} m_{3/2}, \quad a = 1, 2, 3$$

$$m_i^2 = -\frac{1}{4} \left\{ \frac{d\gamma}{dg} \beta_g + \frac{d\gamma}{df} \beta_f \right\} m_{3/2} + m_0^2$$

$$A_f = \frac{\beta_f}{f} m_{3/2}$$

# HCAMSB

## Hypercharged Mediation

U(1) mediation set up:

# HCAMSB

## Hypercharged Mediation

### U(1) mediation set up:

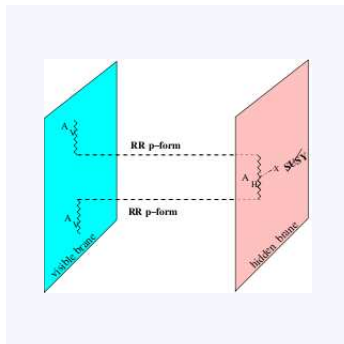
- ▶ MSSM & hidden sectors *geometrically* sequestered.
- ▶ hidden brane in strongly-warped region of manifold  
⇒ filters tree-level gravitational effects.
- ▶ visible (V) & hidden (H) branes carry same U(1) charges  
⇒ gauge bosons:  $A_V$  and  $A_H$ .
- ▶ F-type  $\langle VEV \rangle$  on the hidden brane.

# HCAMSB

## Hypercharged Mediation

RR p-forms traverse the bulk

They couple to gauge fields by  
linear C-S-couplings

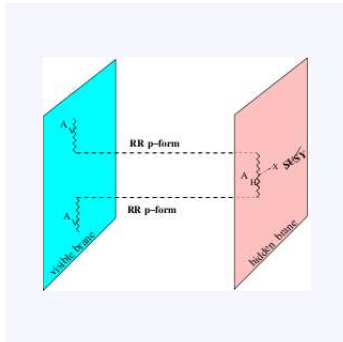




# HCAMSB

## Hypercharged Mediation

RR p-forms traverse the bulk



They couple to gauge fields by  
linear C-S-couplings

KK reduction

↓

$$\mathcal{L}_{RR} = C \wedge (dA_V + dA_H) + \frac{1}{2\mu^2} |dC|^2$$

equivalent to Stuckelberg mass;

$\mu \sim$  string scale

↓

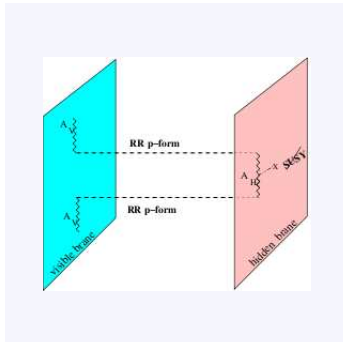
$$(A_V + A_H)$$

integrates out

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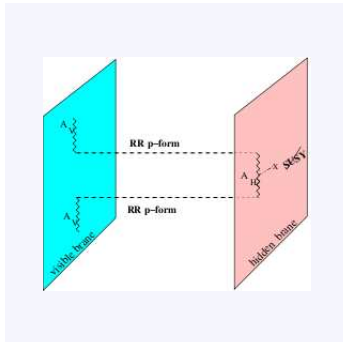
Low-energy combination:

$$A_1 = (A_H - A_V)$$

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Low-energy combination:

$$A_1 = (A_H - A_V)$$

$A_1$  is the Hypercharge Boson

# HCAMSB

## Hypercharge + Anomaly Mediation

F-terms give mass to visible sector bino:

- ▶ Hypercharged particles: 1-loop bino mass contrib.
- ▶ Gauginos: 2-loop contribution.

# HCAMSB

## Hypercharge + Anomaly Mediation

F-terms give mass to visible sector bino:

- ▶ Hypercharged particles: 1-loop bino mass contrib.
- ▶ Gauginos: 2-loop contribution.
- ▶ Redefine AMSB  $M_1$  RGE

$$\rightarrow M_1 = \tilde{M}_1 + \frac{b_1 g_1^2}{16\pi^2} m_{3/2}$$

Parameterize Hypercharged contrib. relative to AMSB's

$$\alpha = \frac{\tilde{M}_1}{m_{3/2}}.$$

# HCAMSB

## Hypercharge + Anomaly Mediation

Some problems gone:

Introduction

**HCAMSB Model**

HCAMSB Spectrum

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# HCAMSB

## Hypercharge + Anomaly Mediation

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Pure Anomaly Mediation

Pure HC Mediation

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- ▶ tachyonic sleptons



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### Pure HC Mediation

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- ▶ RGE running to TeV scale  
 $\Rightarrow m_{\tilde{t}_1} < 0$

# HCAMSB

## Hypercharge + Anomaly Mediation

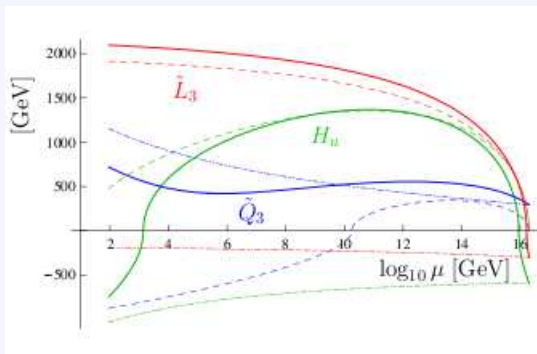
Some problems gone:

### Pure Anomaly Mediation

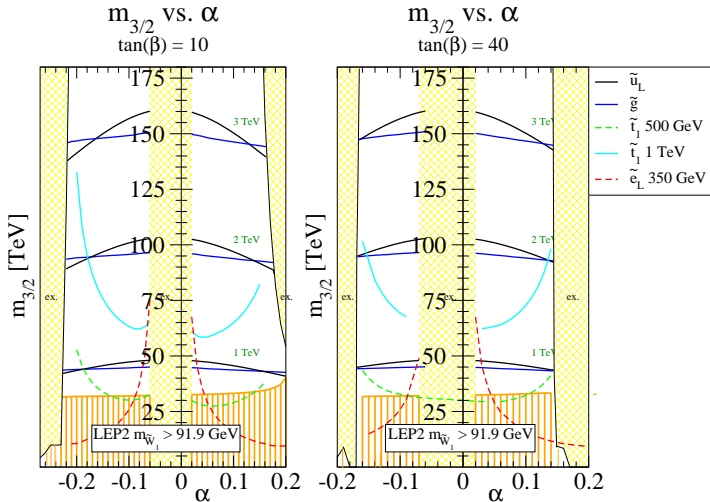
- ▶ tachyonic sleptons
- ▶ fixed by  
*anomalous dimension*

### Pure HC Mediation

- ▶ bino mass can fix this
- ▶ RGE running to TeV scale  
 $\Rightarrow m_{\tilde{t}_1} < 0$



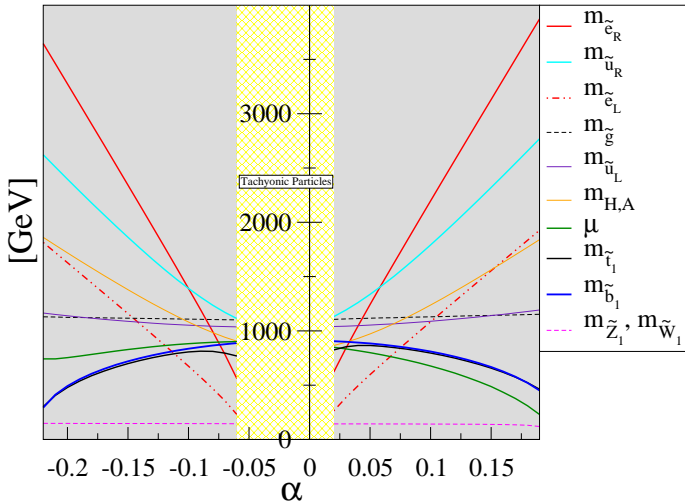
# HCAMSB Spectrum



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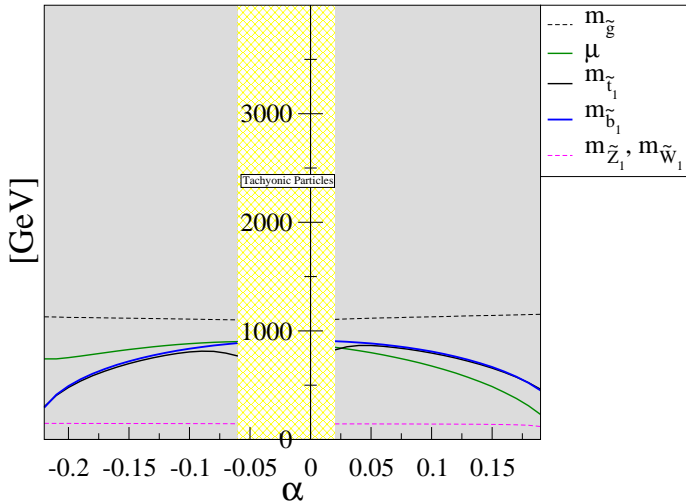
$$\tan(\beta) = 10, m_{3/2} = 50 \text{ TeV}, m_t = 172.6$$



# HCAMSB Spectrum

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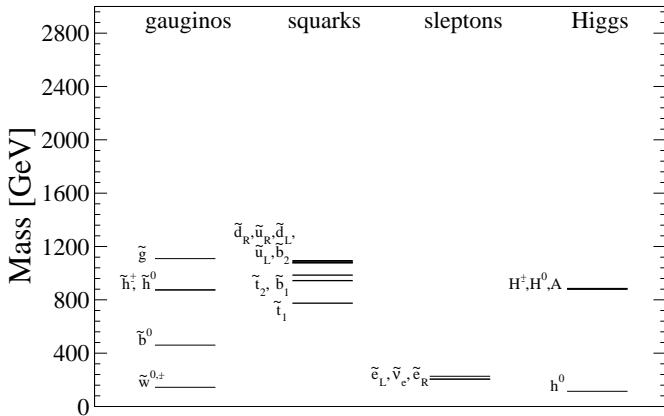
$$\tan(\beta) = 10, m_{3/2} = 50 \text{ TeV}, m_t = 172.6$$



# HCAMSB Spectrum

## AMSB Spectrum

$m_0 = 300 \text{ GeV}$ ,  $m_{3/2} = 50 \text{ TeV}$ ,  $\tan\beta = 10$ ,  $m_t = 172.6 \text{ GeV}$ ,  $\mu > 0$

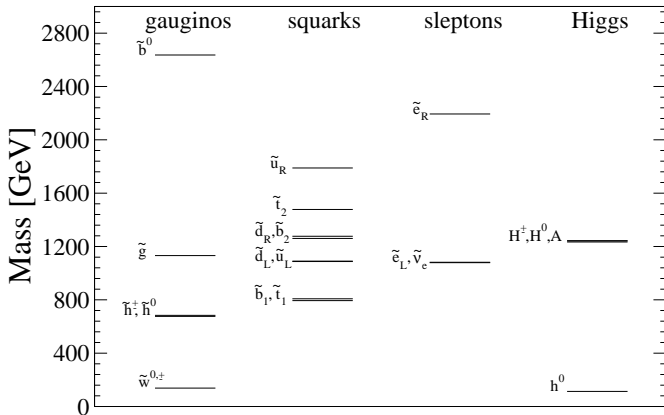




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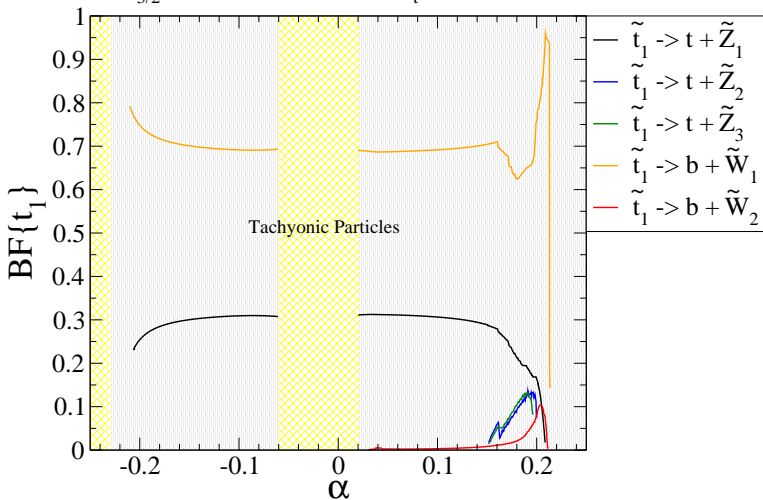
$\alpha = 0.10, m_{3/2} = 50 \text{ TeV}, \tan\beta = 10, m_t = 172.6 \text{ GeV}, \mu > 0$



# Signatures

## Branching Fraction vs. $\alpha$

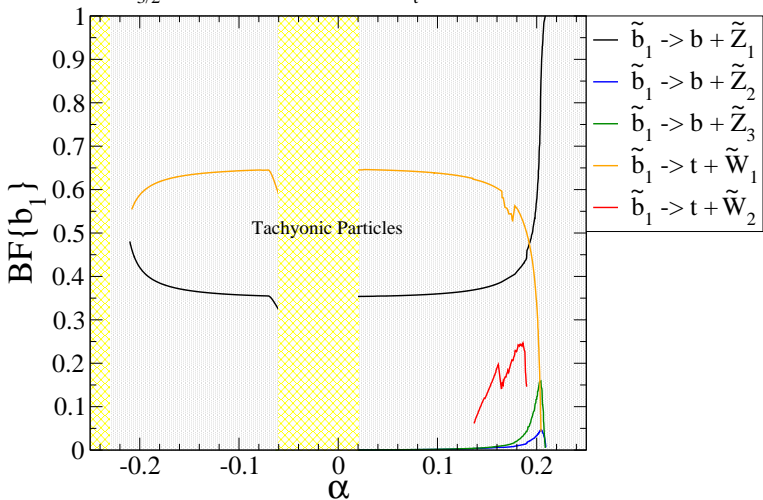
$$m_{3/2} = 50 \text{ TeV}, \tan\beta = 10, m_t = 172.6 \text{ GeV}$$



# Signatures

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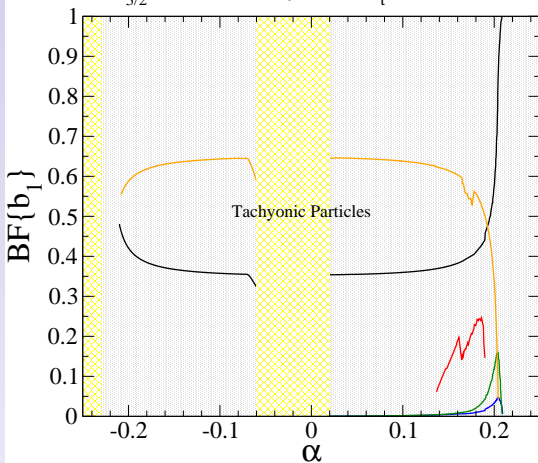
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# Signatures

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$m_{3/2} = 50 \text{ TeV}$ ,  $\tan\beta = 10$ ,  $m_t = 172.6 \text{ GeV}$



$\tilde{b}_1$  decays:

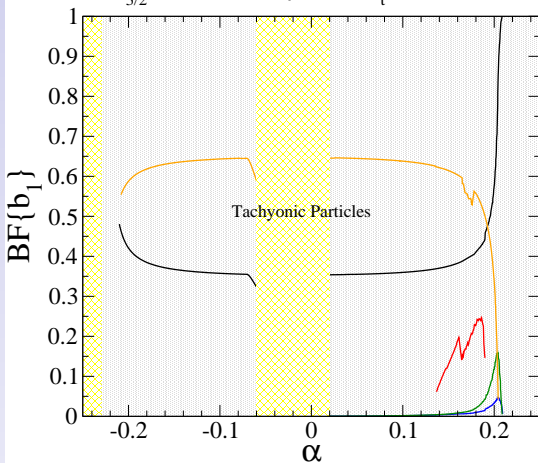
$$\tilde{b}_1 \rightarrow b + \tilde{Z}_1$$

$$\tilde{b}_1 \rightarrow t + \tilde{W}_1$$

# Signatures

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$m_{3/2} = 50 \text{ TeV}$ ,  $\tan\beta = 10$ ,  $m_t = 172.6 \text{ GeV}$



$\tilde{b}_1$  decays:

$$\tilde{b}_1 \rightarrow b + \tilde{Z}_1$$

$$\tilde{b}_1 \rightarrow t + \tilde{W}_1$$

high b-jet mult.

$E_T^{miss}$

isolated leptons

$\tilde{W}_1$  tracks

# Signatures

## Chargino Tracks

$$m_{\tilde{W}_1} \sim m_{\tilde{Z}_1} :$$

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$$\begin{array}{ccc} \tilde{W}_1^+ & \rightarrow & \pi^+ + \tilde{Z}_1 \\ & & \downarrow \quad \searrow \\ & & \text{soft} \quad E_T^{\text{miss}} \end{array}$$



# Signatures

## Chargino Tracks

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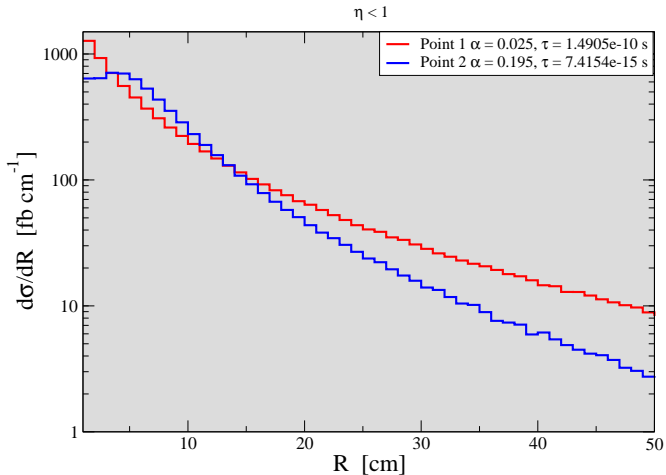
$$\begin{array}{ccc} \tilde{W}_1^+ & \rightarrow & \pi^+ + \tilde{Z}_1 \\ & & \downarrow \quad \searrow \\ & & \text{soft} \quad E_T^{\text{miss}} \end{array}$$

A highly-ionizing track possible with no calorimeter signal.

# Signatures

## Chargino Tracks

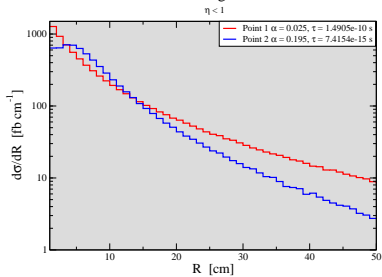
### Radial Track Length Distribution



# Signatures

## Chargino Tracks

Radial Track Length Distribution



## Atlas Detector

- ▶ innermost system
  - 3 pixel layers
  - 5, 8, 12.5 cm
- ▶ intermediate system
  - 4 barrel layers
  - 30 - 50 cm

# Signatures

Smoking Gun?

$\tilde{Z}$  sector:  $m(l^+l^-)$  Distribution

AMSB

HCAMSB

# Signatures

## Smoking Gun?

$\tilde{Z}$  sector:  $m(l^+l^-)$  Distribution

### AMSB

$$\begin{aligned} \blacktriangleright \tilde{Z}_2 & \\ & \rightarrow \tilde{l}^\pm l^\mp \\ & \rightarrow l^+ l^- \tilde{Z}_1 \end{aligned}$$

### HCAMSB

$$\begin{aligned} \blacktriangleright \tilde{Z}_2 & \\ & \rightarrow \tilde{W}_1^\pm W^\mp \\ & \rightarrow \tilde{Z}_1 h \\ & \rightarrow \tilde{Z}_1 Z \end{aligned}$$

# Signatures

## Smoking Gun?

$\tilde{Z}$  sector:  $m(l^+l^-)$  Distribution

### AMSB

- ▶  $\tilde{Z}_2$ 
    - $\tilde{l}^\pm l^\mp$
    - $l^+l^- \tilde{Z}_1$
- $\tilde{Z}_2 \rightarrow \tilde{Z}_1 Z$  suppressed  
(unless  $\tan\beta$  high)**

### HCAMSB

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# Signatures

## Smoking Gun?

$\tilde{Z}$  sector:  $m(l^+l^-)$  Distribution

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- ▶  $M_2 < M_1 < \mu$

### HCAMSB

- ▶  $\tilde{Z}_2$ 
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# Signatures

## Smoking Gun?

$\tilde{Z}$  sector:  $m(l^+l^-)$  Distribution

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- ▶  $\tilde{Z}_2$ 
  - $\tilde{l}^\pm l^\mp$
  - $l^+l^- \tilde{Z}_1$ **$\tilde{Z}_2 \rightarrow \tilde{Z}_1 Z$  suppressed  
(unless  $\tan\beta$  high)**

- ▶  $M_2 < M_1 < \mu$
- ▶ **AMSB: kinematic mass edges.**

### HCAMSB

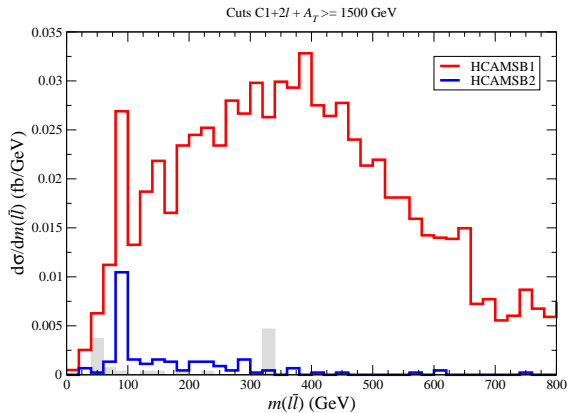
- ▶  $\tilde{Z}_2$ 
  - $\tilde{W}_1^\pm W^\mp$
  - $\tilde{Z}_1 h$
  - $\tilde{Z}_1 Z$

- ▶  $M_2 < \mu < M_1$
- ▶ **HCAMSB: smooth dist. with Z peak.**



# Signatures

## Smoking Gun?



# Summary

For HCAMSB we should expect to see

- ▶ High b-jet multiplicities.
- ▶ Isolated leptons.
- ▶  $E_T^{miss}$

+

- ▶ Left-right split AMSB
- ▶ Occasional HITs from long-lived Charginos
- ▶ And possible a smooth distribution w/ a Z peak that can serve to differentiate from AMSB!

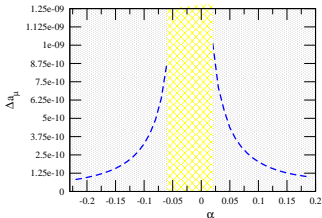
*MERCI*

# Constraining $\alpha$ and $m_{3/2}$

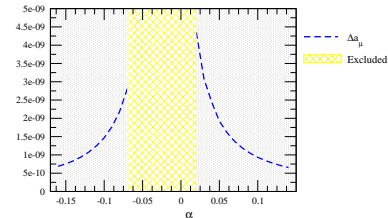
indirect limits

$\Delta a_\mu$  vs.  $\alpha$

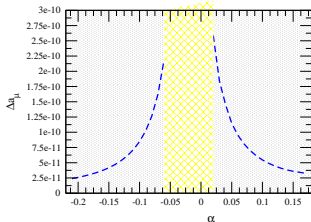
a).  $m_{3/2} = 50$  TeV,  $\tan(\beta) = 10$



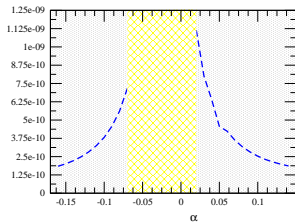
b).  $m_{3/2} = 50$  TeV,  $\tan(\beta) = 40$



c).  $m_{3/2} = 100$  TeV,  $\tan(\beta) = 10$



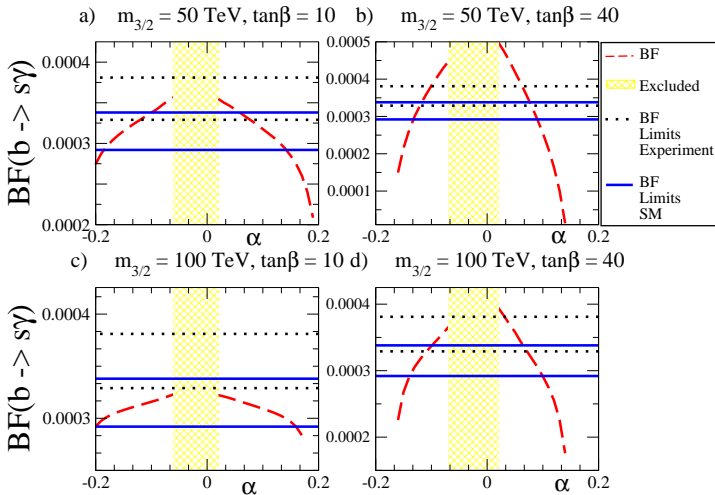
d).  $m_{3/2} = 100$  TeV,  $\tan(\beta) = 40$



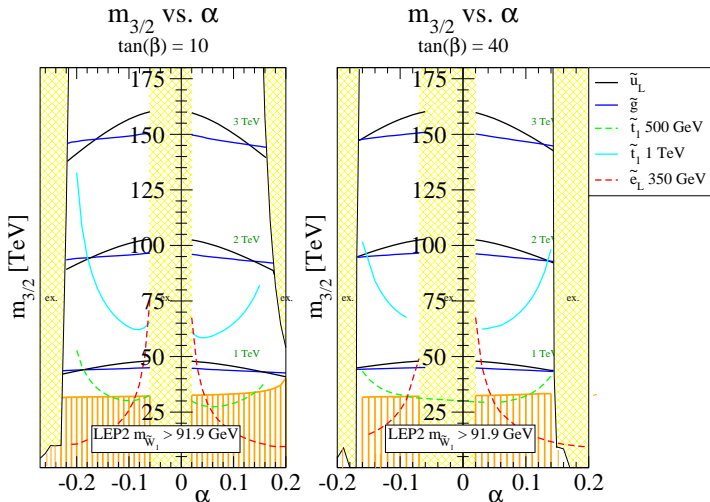
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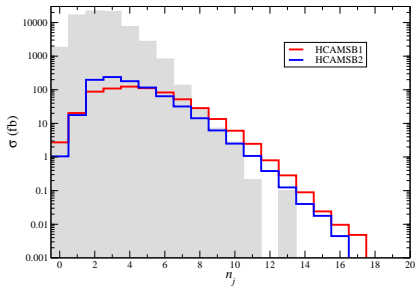
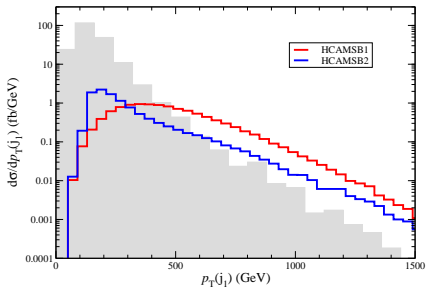
## BF( $b \rightarrow s\gamma$ ) vs. $\alpha$



# Constraining $\alpha$ and $m_{3/2}$

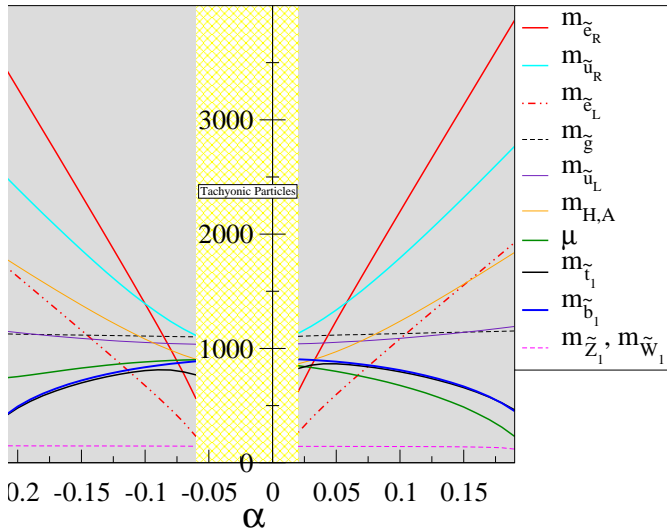


# HCAMSB at the LHC



# HCAMSB Spectrum

HCAMSB Spectrum  
 $\tan(\beta) = 10, m_{3/2} = 50 \text{ TeV}, m_t = 172.6$





# HCAMSB Spectrum

## AMSB Spectrum

$\tan(\beta)=10, m_{3/2} = 50 \text{ TeV}, m_t=172.6 \text{ GeV}$

