

# Latest calibration results from QUBIC

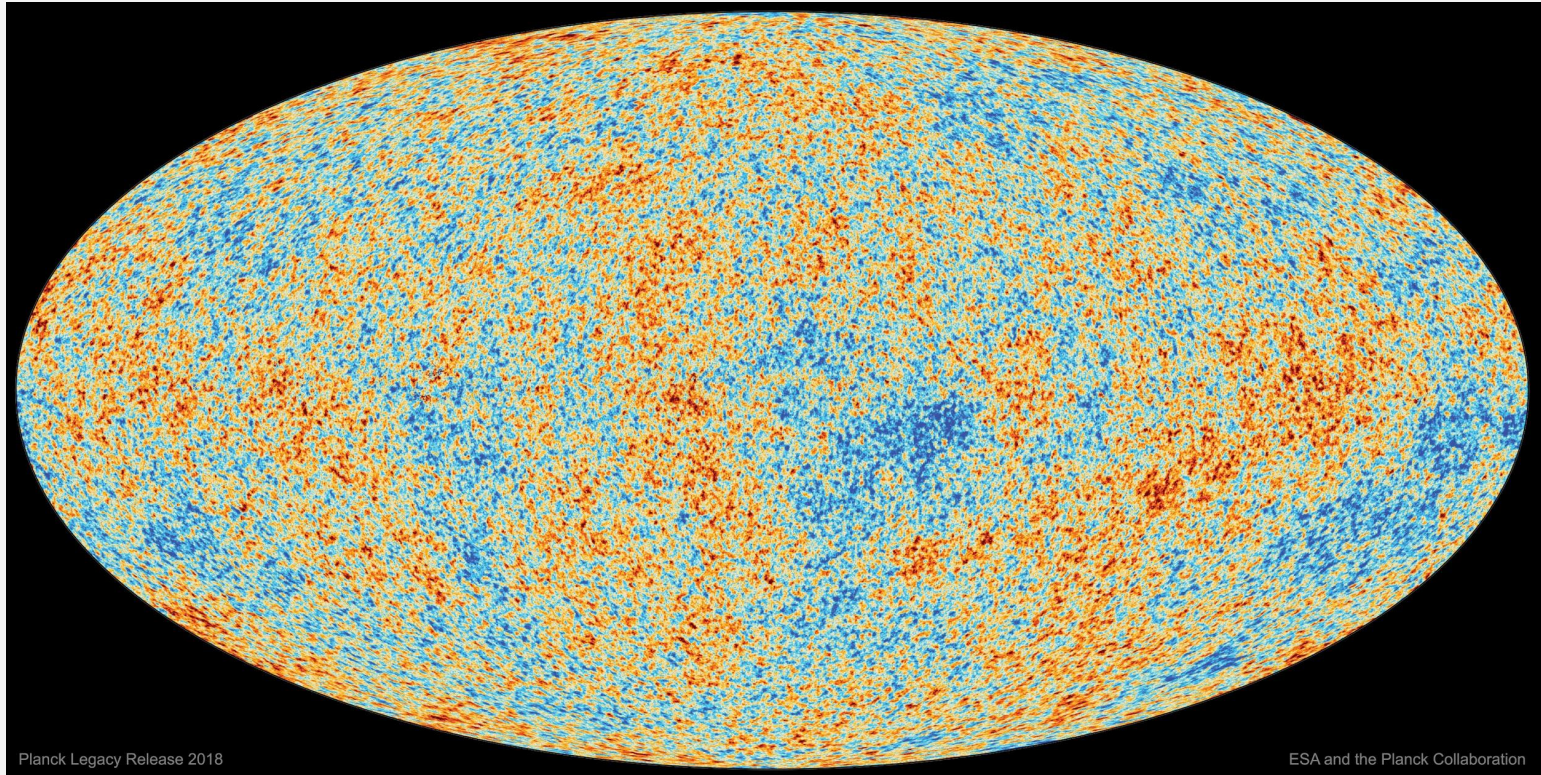
## The Q&U Bolometric Interferometer for Cosmology

**Louise Mousset**

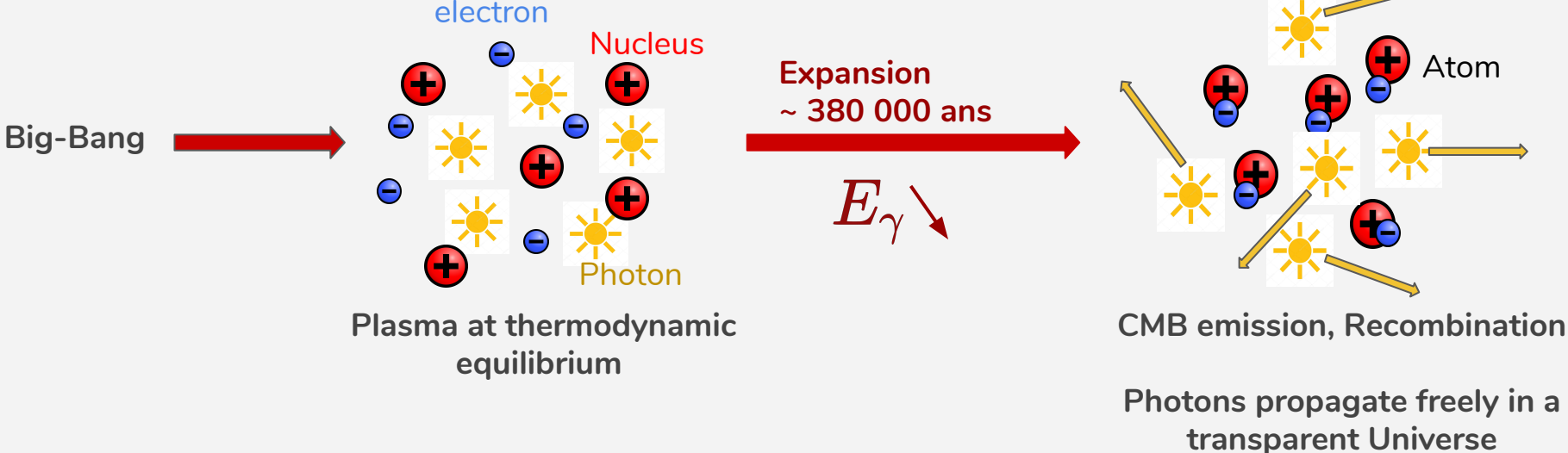
Supervisors: Jean-Christophe Hamilton  
Steve Torchinsky



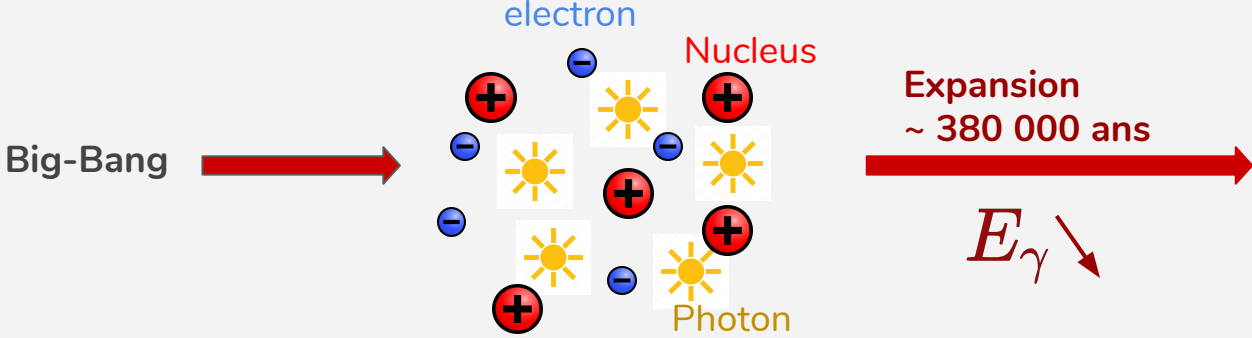
# I. Cosmology: CMB and Inflation



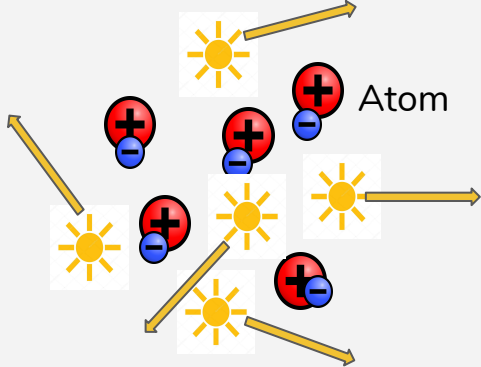
# Cosmic Microwave Background (CMB)



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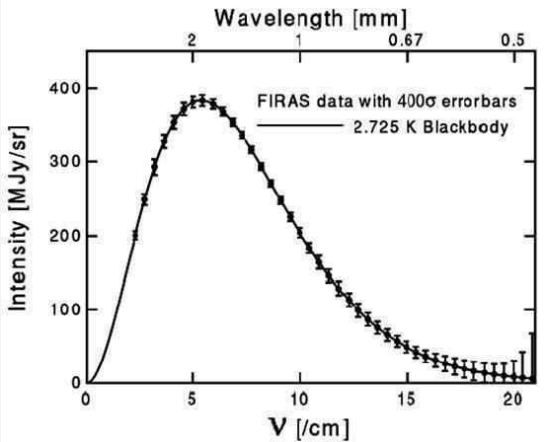
Plasma at thermodynamic equilibrium



CMB emission, Recombination

Photons propagate freely in a transparent Universe

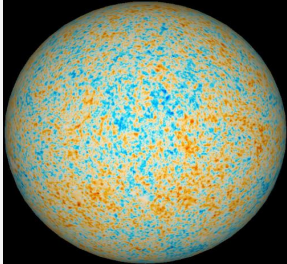
Black Body



Temperature isotropy



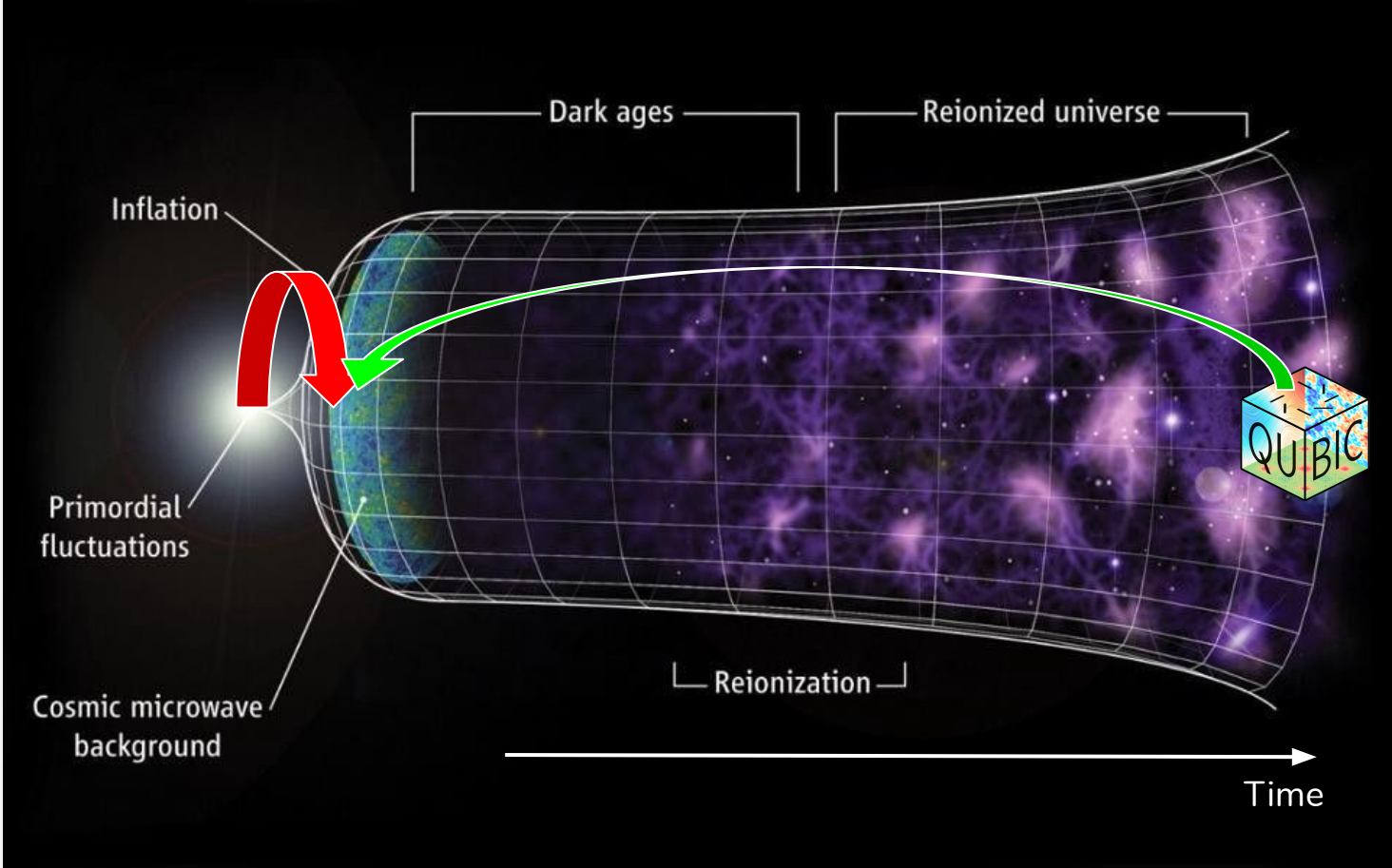
$T - T_0$



$\frac{\Delta T}{T} \sim 10^{-5}$

# A clue for inflation

Primordial fluctuations from inflation are imprinted in the temperature anisotropy and polarization of the CMB.





## II. The QUBIC instrument

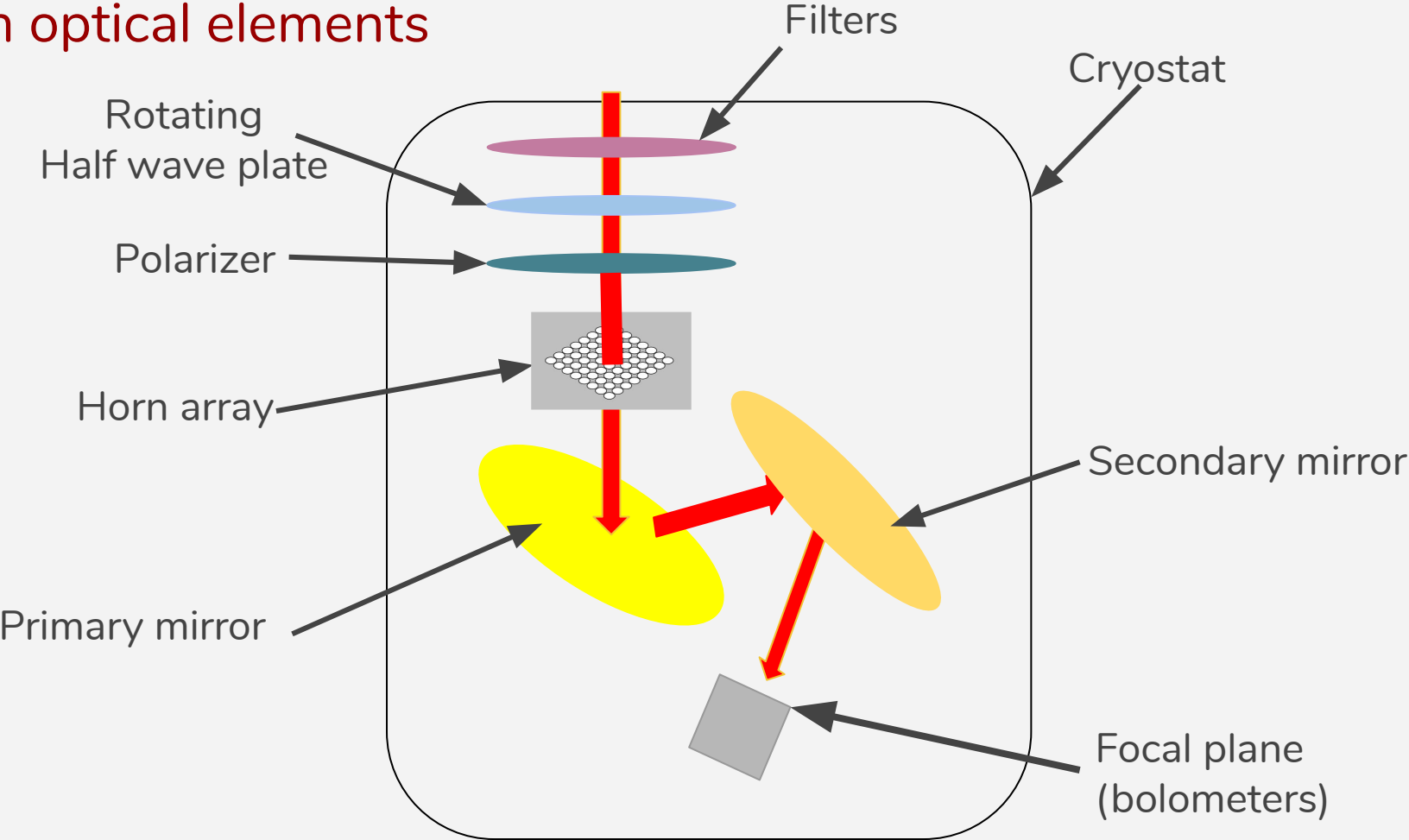


Calibration at APC



Observation site: Argentina, Puna (~5000m)

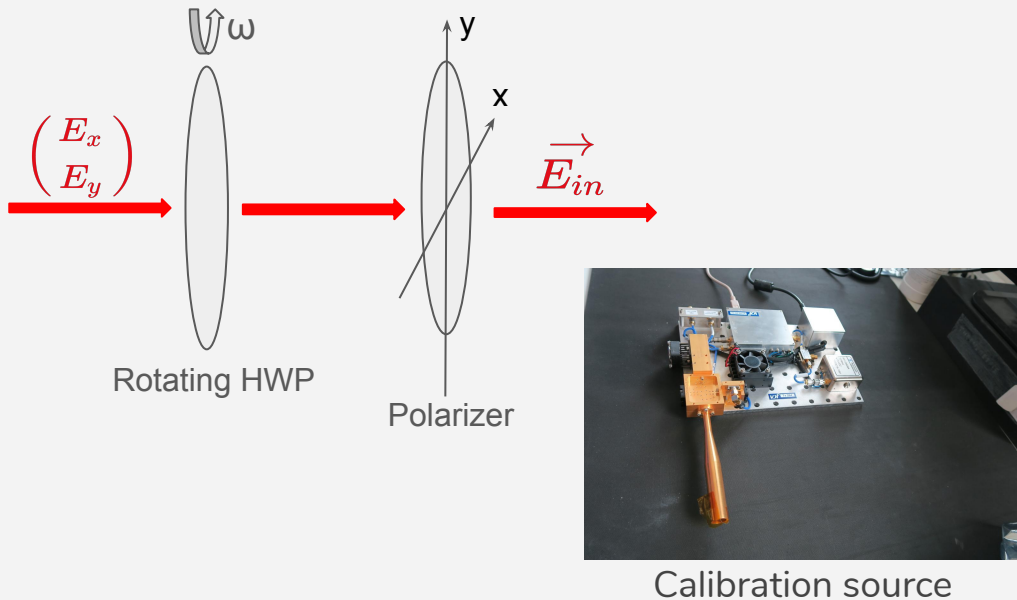
# Main optical elements



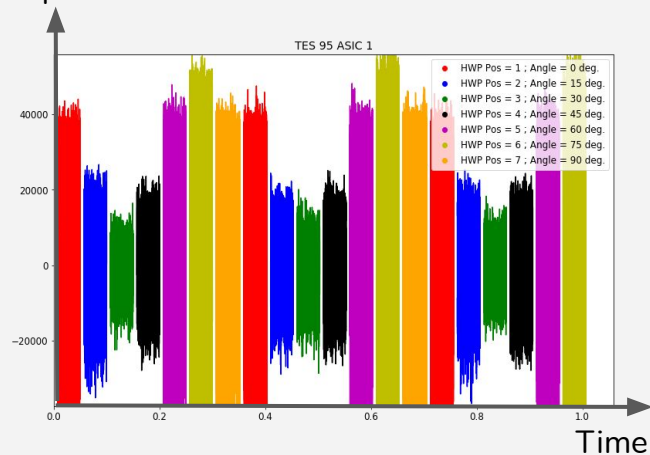
# HWP performance

The rotating Half Wave Plate allows QUBIC to modulate the polarization angle on the sky.

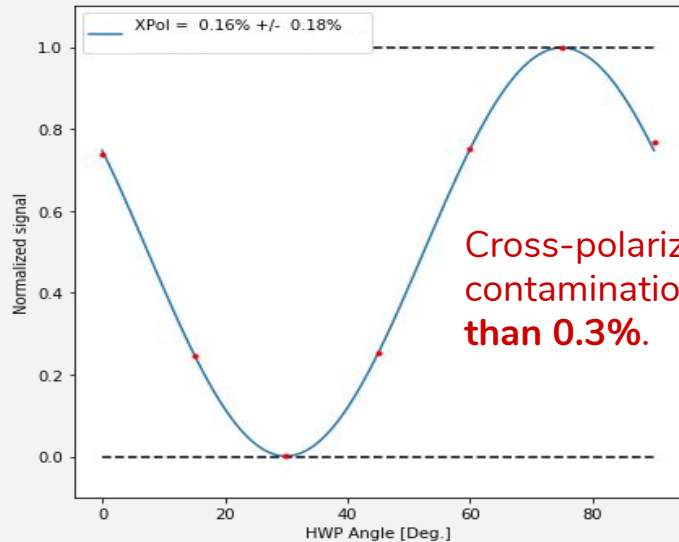
$$I_{in} = |E_x \cos(2\omega t) + E_y \sin(2\omega t)|^2$$



Amplitude

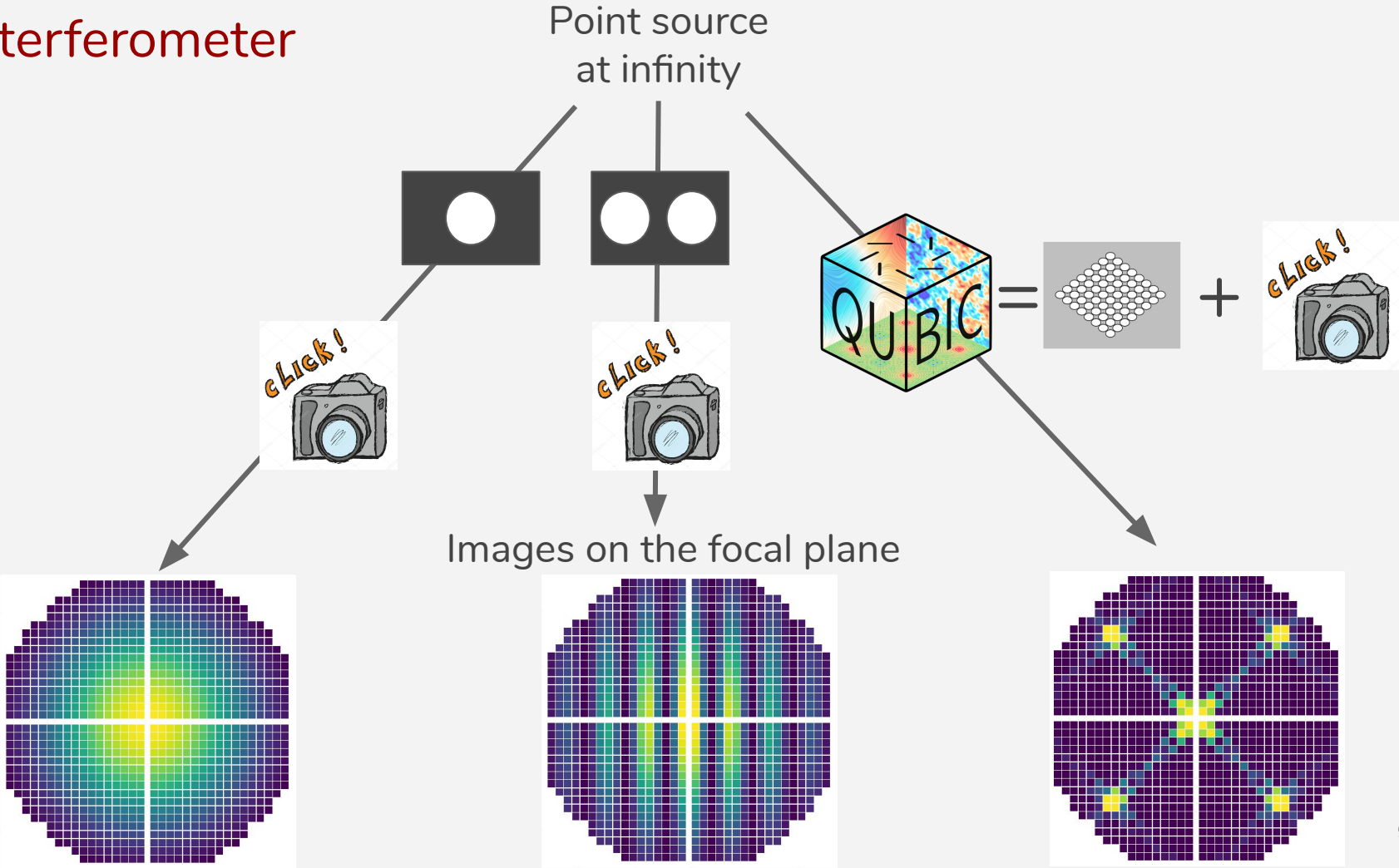


Demodulation TES95

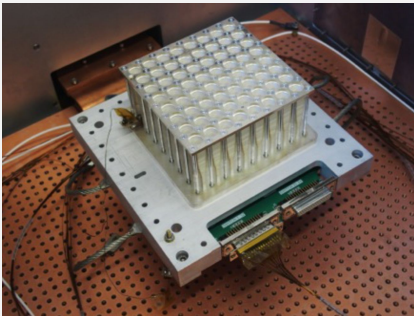




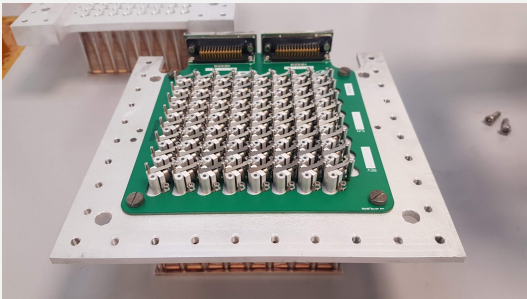
# An interferometer



# Self-calibration



Horn array (8x8)

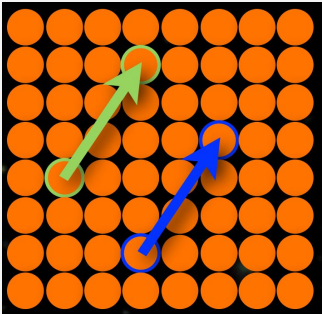


Switches

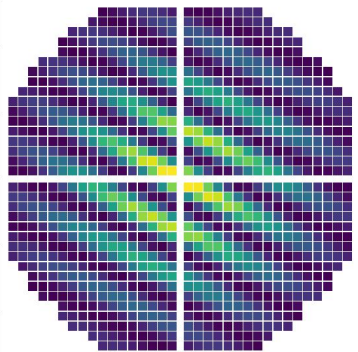
### Method :

For 2 equivalent baselines, in case of a perfect instrument, you should obtain the same interference pattern on the focal plane.

The measured differences are used to characterize systematic effects.



2 redundant baselines on the horn array

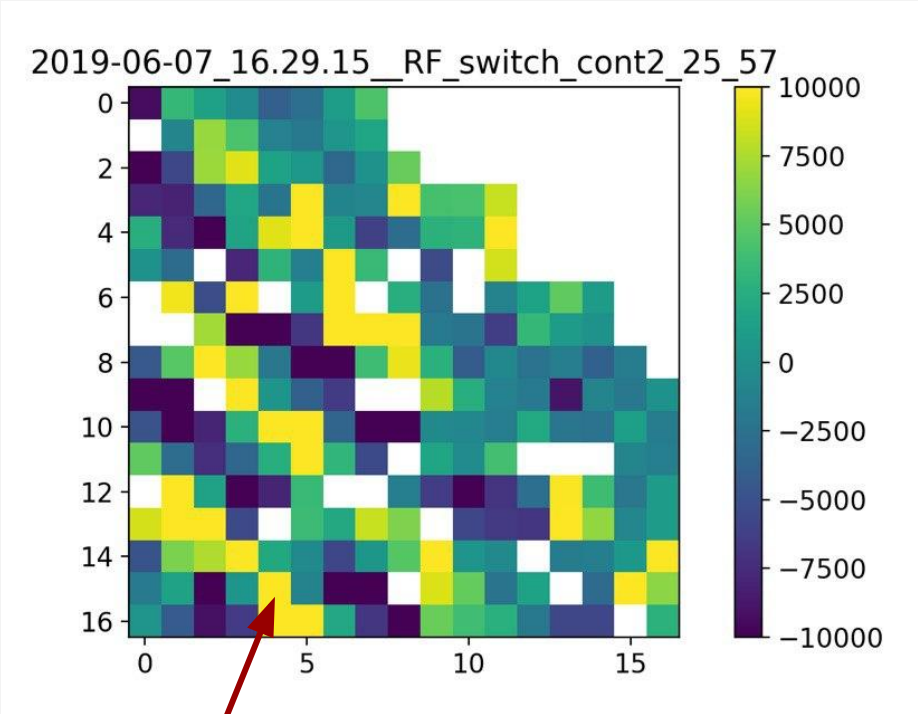


Fringes on the focal plane created by one baseline

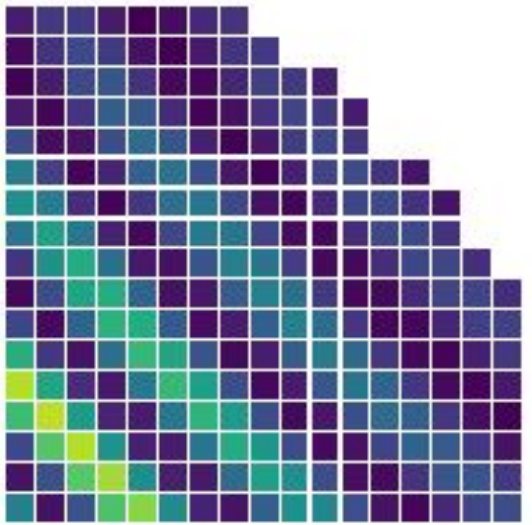
[Bigot-Sazy et al., A&A 2012, arXiv:1209.4905]

# Fringes measurement

A quarter of the focal plane (17x17)



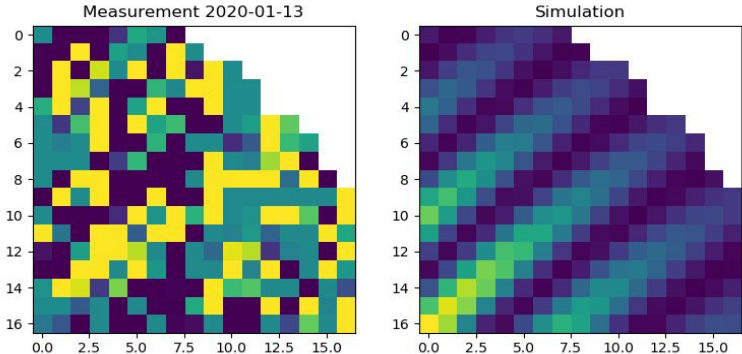
One bolometer



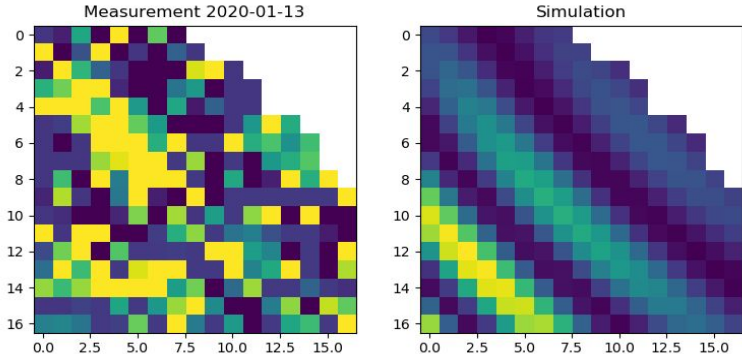
Simulation taking into account optical aberrations

# Other baselines

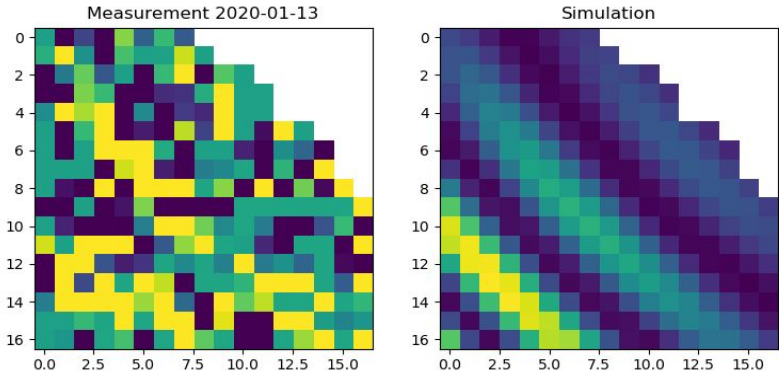
Baseline [60, 63]



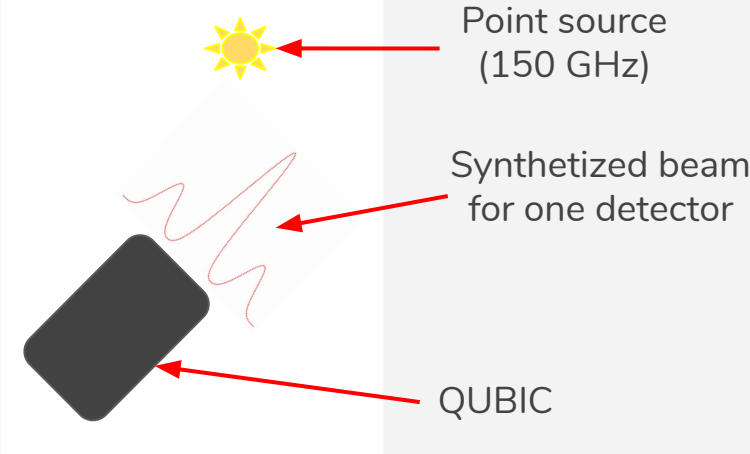
Baseline [52, 28]



Baseline [49, 25]

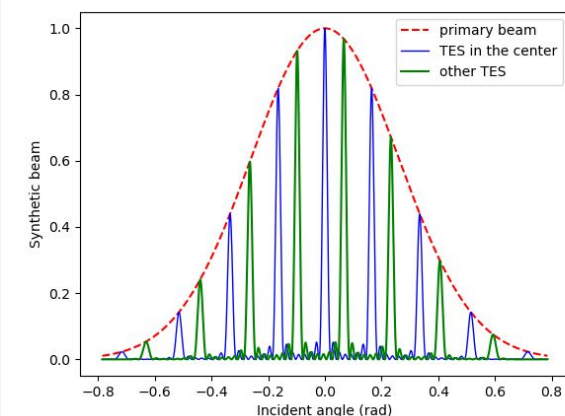
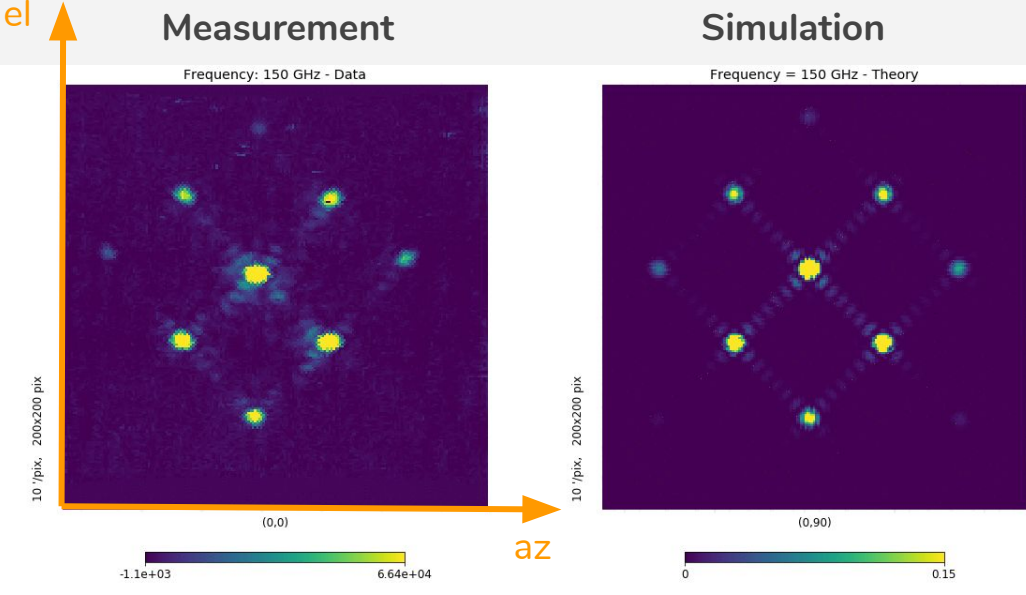


# Synthetized beam on the sky



Scan in azimuth and elevation

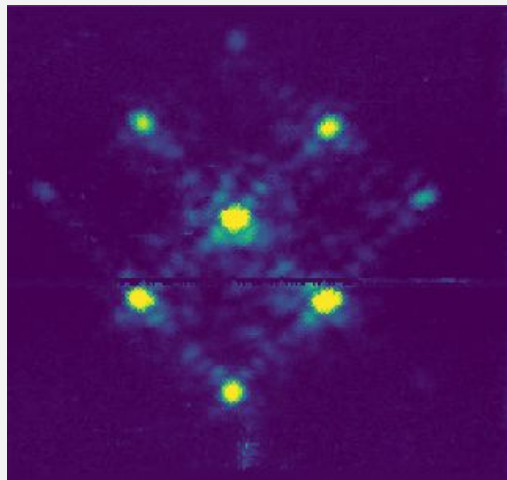
Example for detector 93:



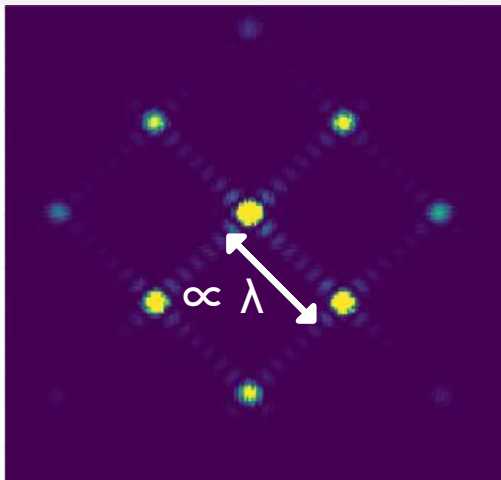
# Frequency dependency

Source at 130 GHz:

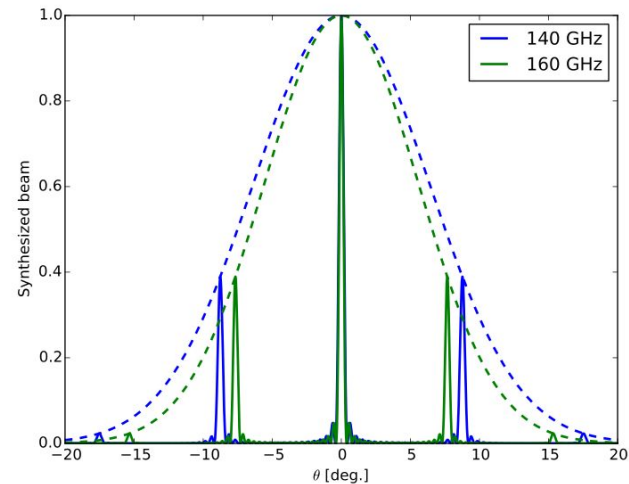
Measurement



Simulation



10"/pix, 200x200 pix

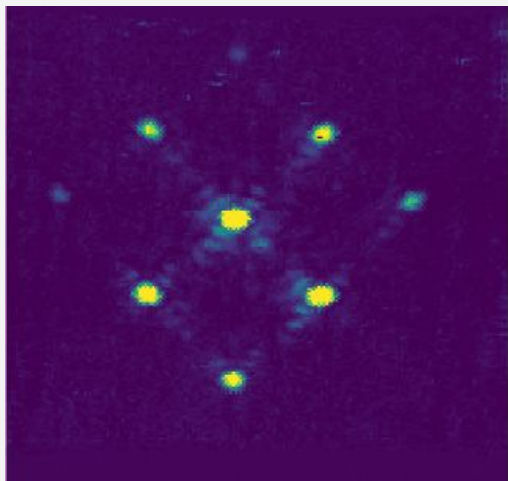


The key for **spectro-imaging** = making sky maps in several frequency bands  
⇒ Essential to remove **foregrounds** (ex: galaxy dust emission)

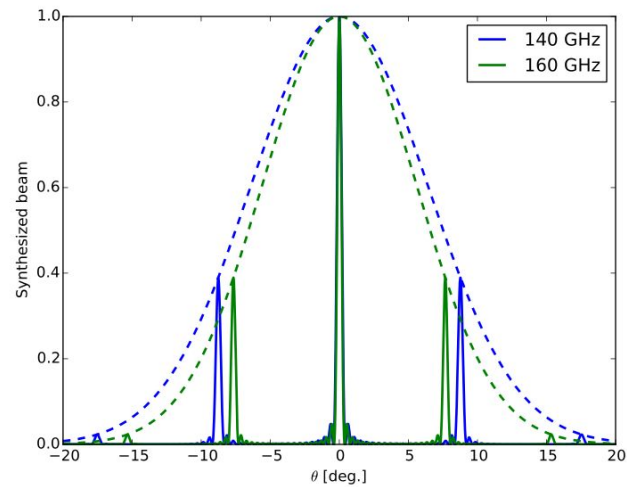
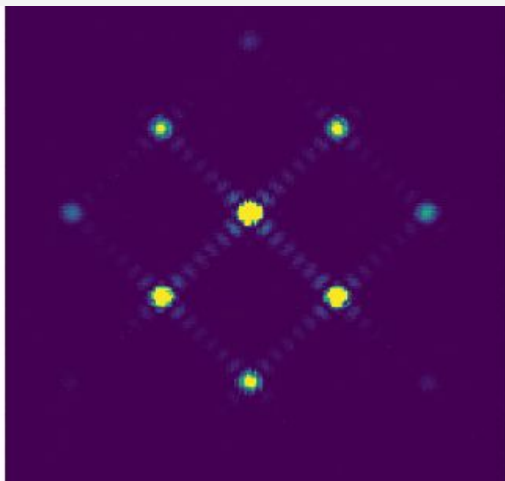
# Frequency dependency

Source at 150 GHz:

Measurement



Simulation

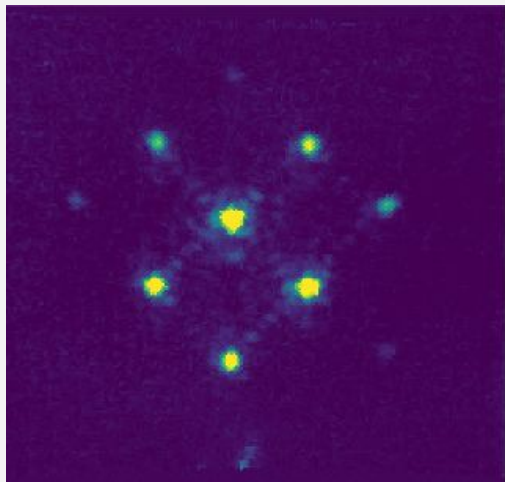


The key for **spectro-imaging** = making sky maps in several frequency bands  
⇒ Essential to remove **foregrounds** (ex: galaxy dust emission)

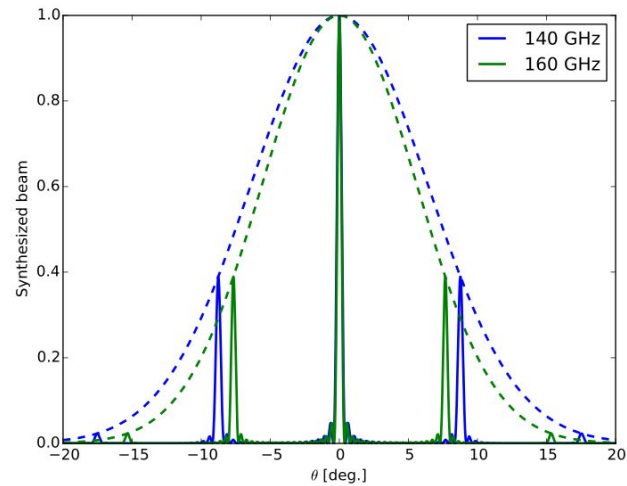
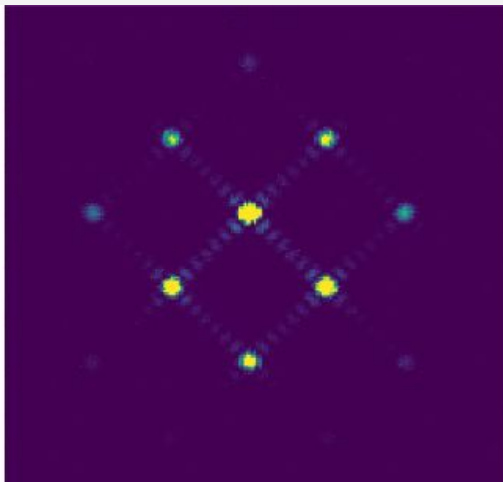
# Frequency dependency

Source at 170 GHz:

Measurement



Simulation

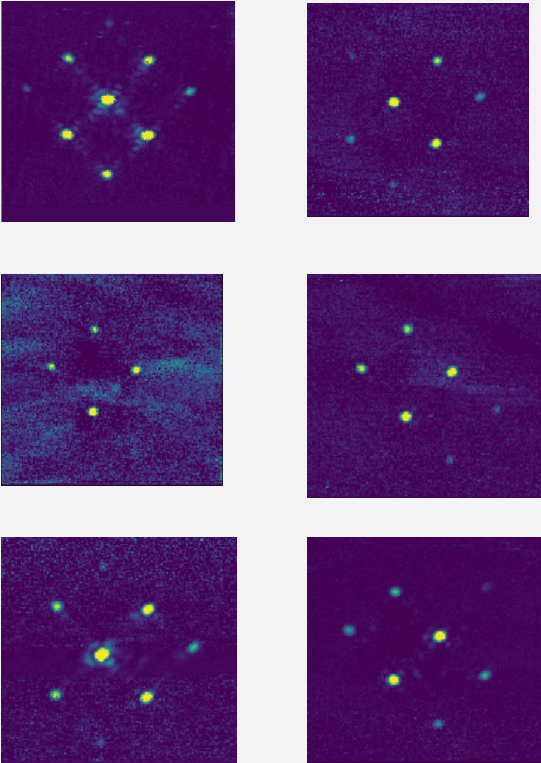


The key for **spectro-imaging** = making sky maps in several frequency bands  
⇒ Essential to remove **foregrounds** (ex: galaxy dust emission)




# Map making with real data

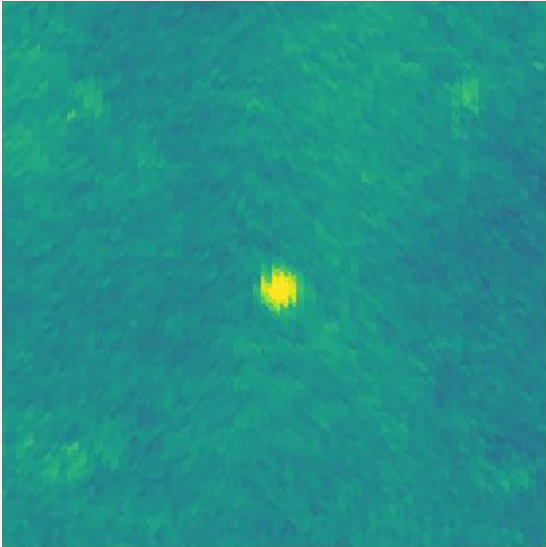
Beams from 6 detectors



Map-making  
Software data analysis



Reconstructed point source



Measured FWHM: 1.0209 +/- 0.0015 deg.  
Expected: 1.02 deg.

# Conclusion

- QUBIC will observe the CMB polarization in order to learn about the primordial universe (Inflation era).
- The instrument is now calibrated at APC and will be installed in Argentina.
- It successfully pass the in2p3 review in January. The demonstration has been made that bolometric interferometry is achieved.
- Its unique design brings new possibilities:
  - Self-calibration
  - Spectro-imaging



Thank you !

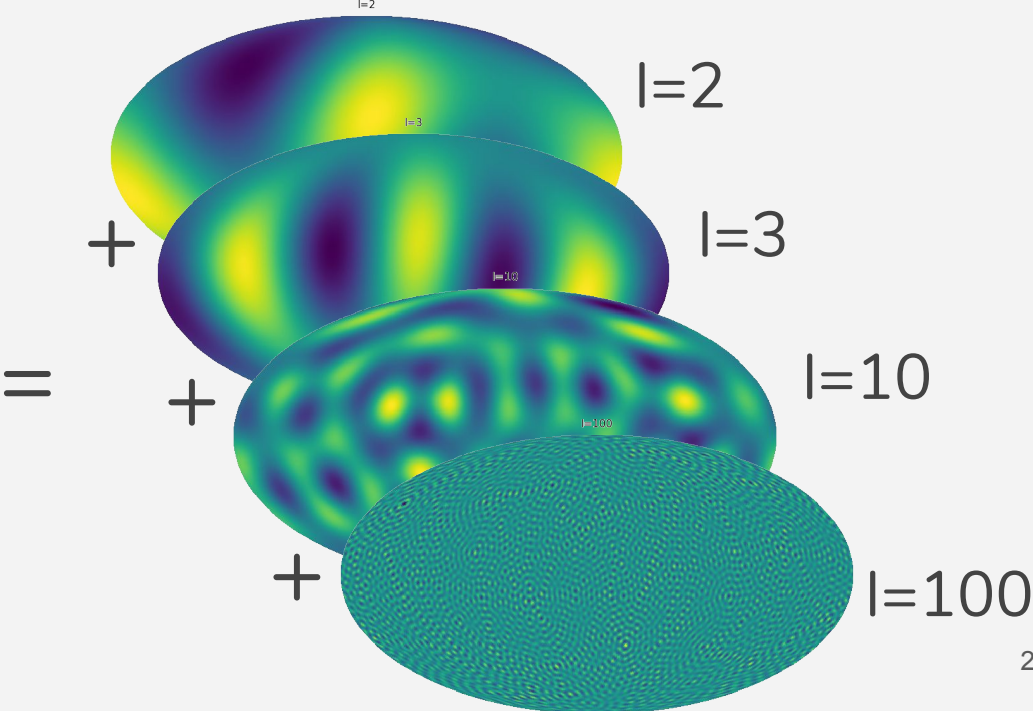
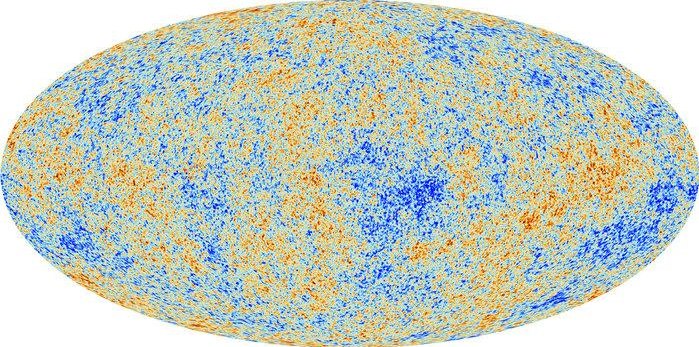
# Backup slides

# Spherical harmonic transform

$$T(\mathbf{n}) = T_0 + T_0 \sum_{l=1}^{\infty} \sum_{m=-l}^l a_{lm} Y_{lm}(\mathbf{n})$$

with  $a_{lm} = \int_{4\pi} T(\mathbf{n}) Y_{lm}^*(\mathbf{n})$

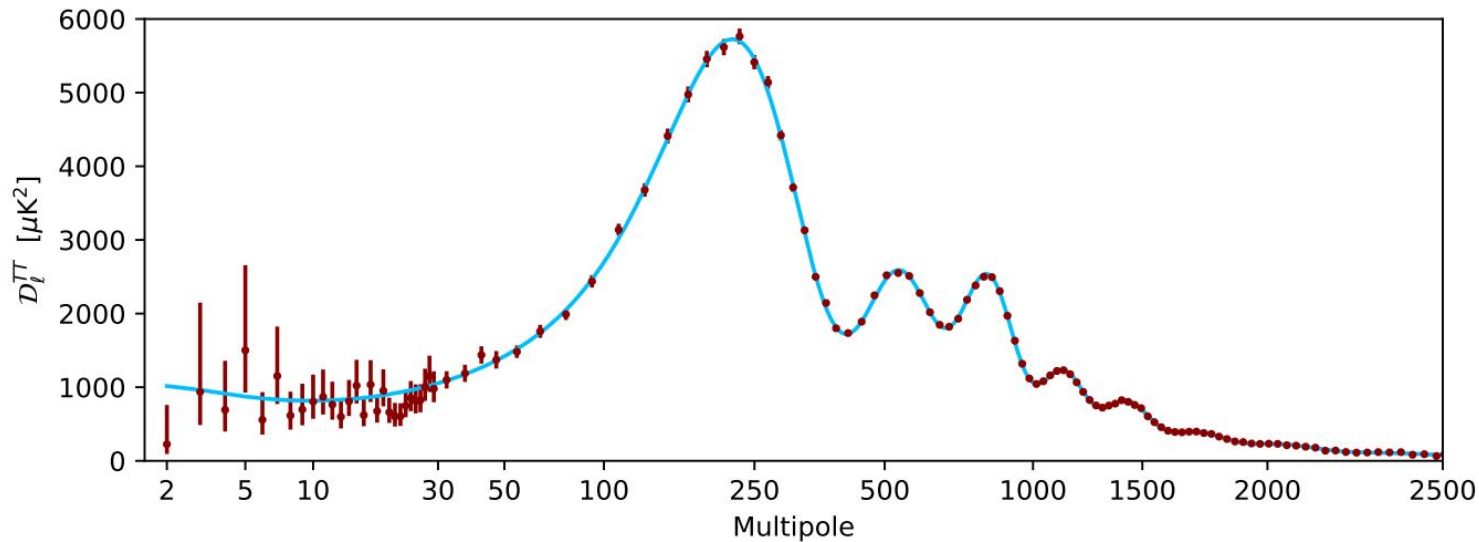
$$l \sim \frac{\pi}{\theta}$$



# Power spectrum

Variance of the  $a_{lm}$ : 
$$C_l = \langle a_{lm}^* a_{lm} \rangle_m = \frac{1}{2l+1} \sum_{m=-l}^l |a_{lm}|^2$$

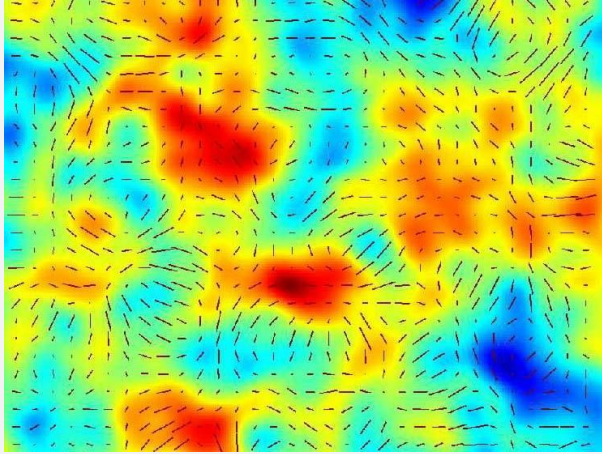
$$D_l = \frac{l(l+1)}{2\pi} C_l$$



Credit: Planck, 2018

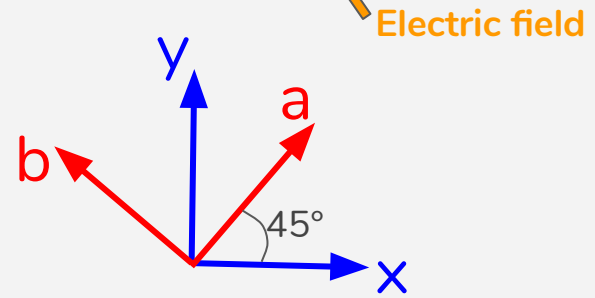
# The CMB polarization

For each position on the sky, one can define the Stokes parameters:



$$I = E_x^2 + E_y^2 \rightarrow \text{Intensity (temperature)}$$

$$\left. \begin{aligned} Q &= E_x^2 - E_y^2 \\ U &= E_a^2 - E_b^2 \end{aligned} \right\} \text{Linear polarization}$$



## E and B modes

$$(Q \pm iU)(\mathbf{n}) = \sum_{l=2}^{\infty} \sum_{m=-l}^l a_{\pm 2lm} {}_{\pm 2}Y_{lm}(\mathbf{n})$$

You can form 2 scalar quantities :

- E modes

$$\mathbf{E}(\mathbf{n}) = \sum_{l=2}^{\infty} \sum_{m=-l}^l a_{lm}^E Y_{lm}(\mathbf{n}) \quad \text{with} \quad a_{lm}^E = -\frac{a_{2lm} + a_{-2lm}}{2}$$

- B modes

$$\mathbf{B}(\mathbf{n}) = \sum_{l=2}^{\infty} \sum_{m=-l}^l a_{lm}^B Y_{lm}(\mathbf{n}) \quad \text{with} \quad a_{lm}^B = i \frac{a_{2lm} - a_{-2lm}}{2}$$

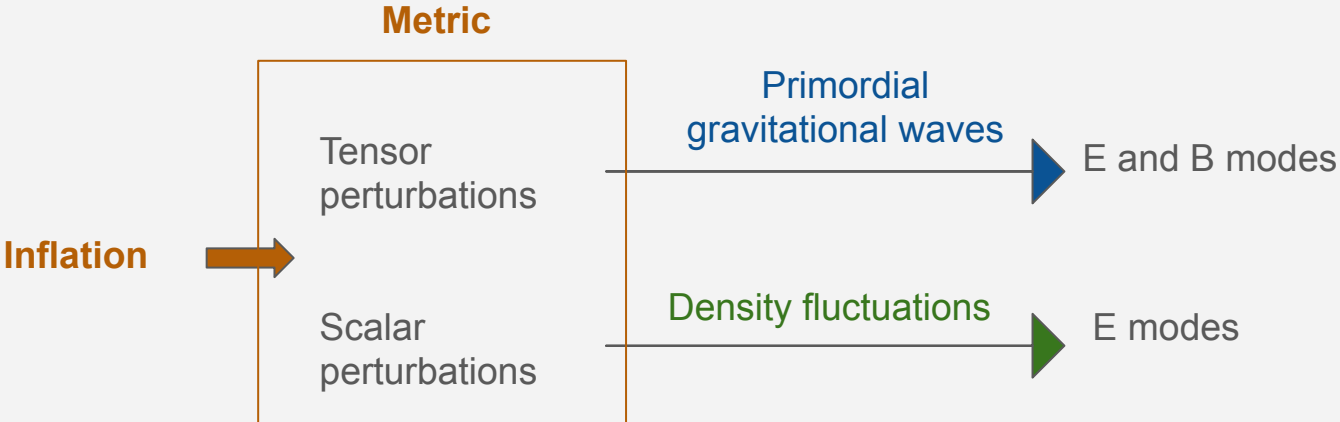


**⇒ A global definition over the sky**

# Primordial B modes, a clue for inflation

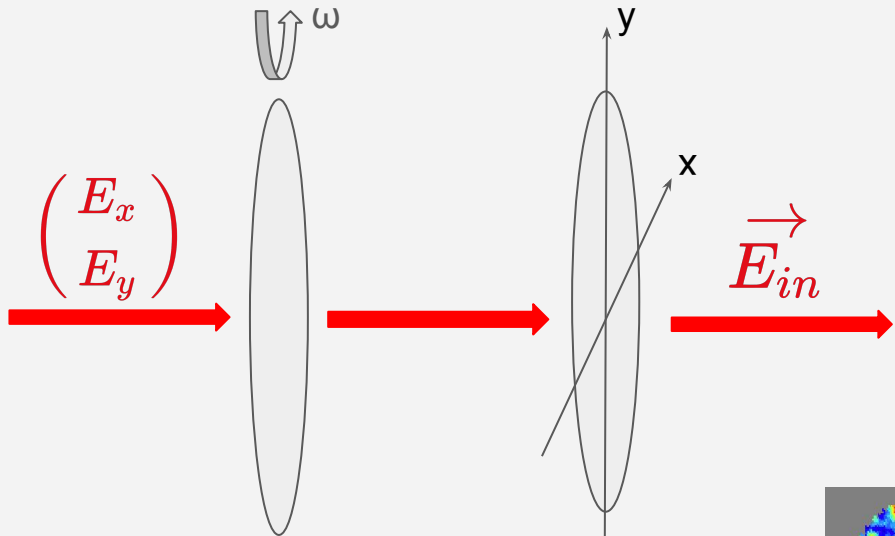
Inflation :

Accelerated expansion phase right after the Big-Bang ( $\sim 10^{-34}$  s)





# Polarization modulation

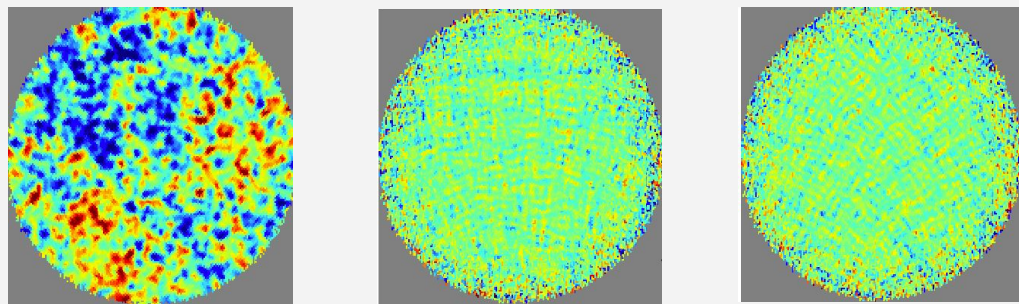


$$I_{in} = |E_x \cos(2\omega t) + E_y \sin(2\omega t)|^2$$

$$= I + Q \cos(4\omega t) + U \sin(4\omega t)$$

Using a correct rotating speed, we can reconstruct I, Q, U for each position on the sky.

→ 3 sky maps



Rotating half wave plate

$$\begin{pmatrix} \cos(2\omega t) & \sin(2\omega t) \\ \sin(2\omega t) & -\cos(2\omega t) \end{pmatrix}$$

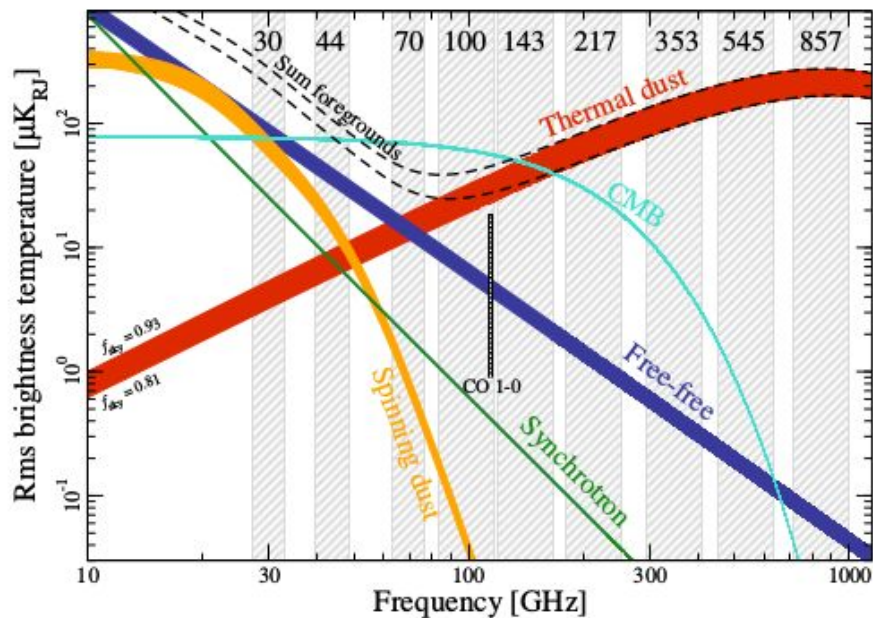
Polarizer

$$\begin{pmatrix} 1 & 0 \\ 0 & 0 \end{pmatrix}$$

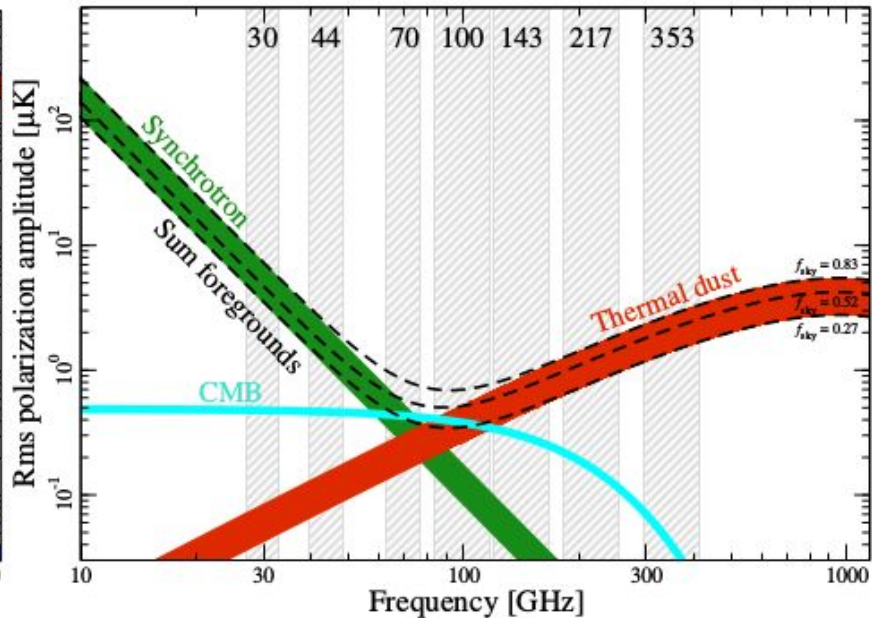
I                      Q                      U

# Removing foregrounds

## Temperature



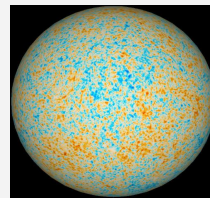
## Polarization



Credit: Planck, 2018

# Data simulation and map-making

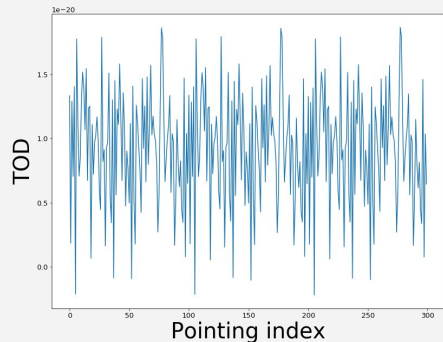
## - Time Order Data (TOD)



Matrix containing the pointing strategy over the sky

Map

TOD for one bolometer



$$\mathbf{d}_{bolo} = \mathbf{A}\mathbf{T} + \mathbf{n}_{bolo}$$

Noise

## - Map-making in temperature and polarization

$$\vec{d} \longrightarrow \mathbf{T} = (\mathbf{A}^t \cdot \mathbf{N}^{-1} \cdot \mathbf{A})^{-1} \cdot \mathbf{A}^t \cdot \mathbf{N}^{-1} \cdot \vec{d}$$

Covariance noise matrix

TOD from the 992 bolometers

Map: Maximum-Likelihood solution

=> Not so easy !

For one day of observation,  $\mathbf{N}$  is already a (3e6 x 3e6 x 992) operator.