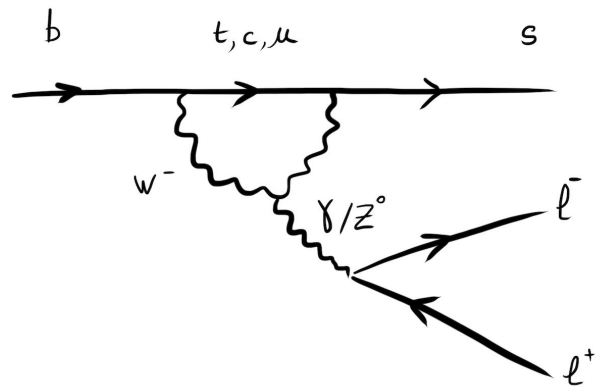




Lepton universality tests with b-baryons

Mick Mulder & Yasmine Amhis



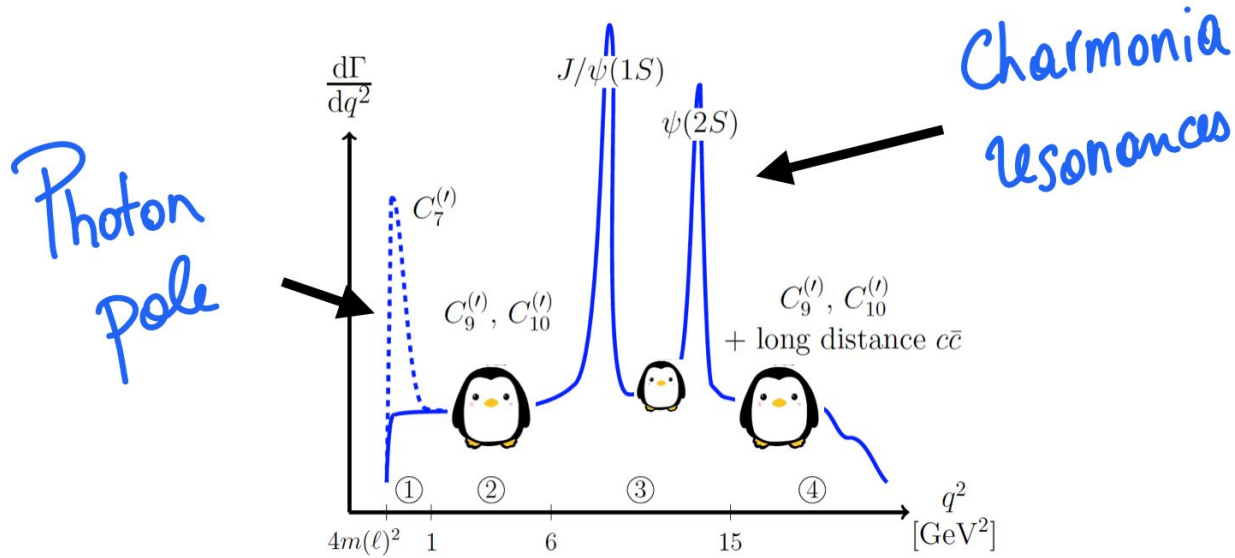


Lepton Universality tests

$$R_\phi(B_s) \approx R_{\pi K}(B) \approx R(\Lambda_b)_\Lambda \approx R(\Lambda_b)_{pK} \approx \dots \approx R_K .$$

$$R_H \equiv \frac{\int \frac{d\Gamma(B \rightarrow H \mu^+ \mu^-)}{dq^2} dq^2}{\int \frac{d\Gamma(B \rightarrow H e^+ e^-)}{dq^2} dq^2}$$

$$\mathcal{H}_{\text{eff}} = \frac{G_F}{\sqrt{2}} \lambda^{\text{CKM}} \sum_i C_i \mathcal{O}_i + h.c.,$$



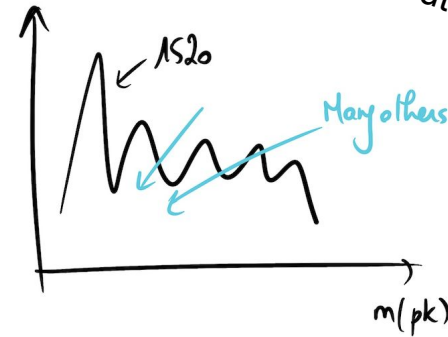
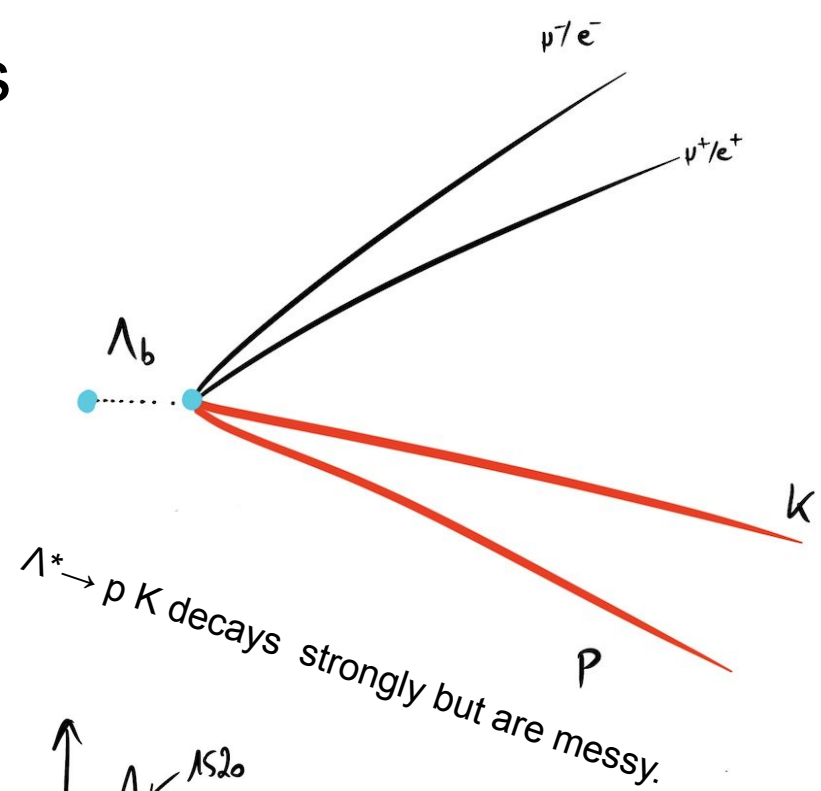
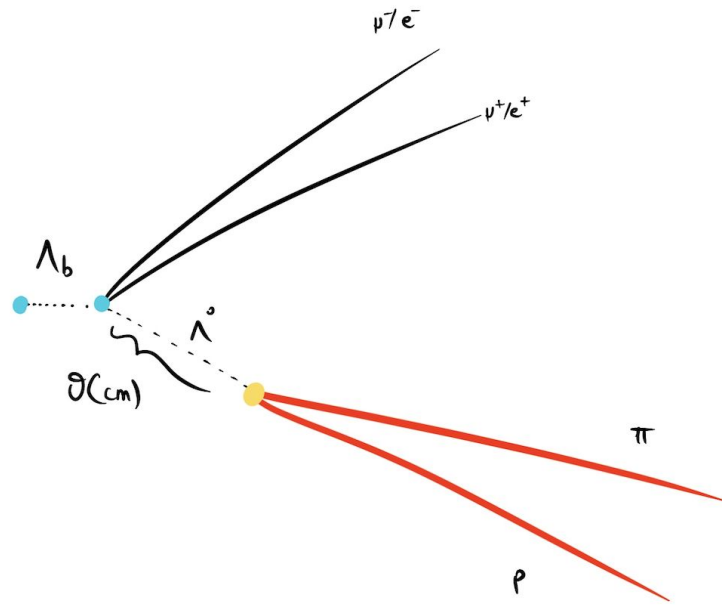
R_{pK} is measured between $[0.1, 6]$ GeV²

R_Λ will be measured between $[0.1, 6]$ and $[15, 20]$ GeV²



Topologies of the two decays

$\Lambda \rightarrow p \pi$ is well defined and long lived.

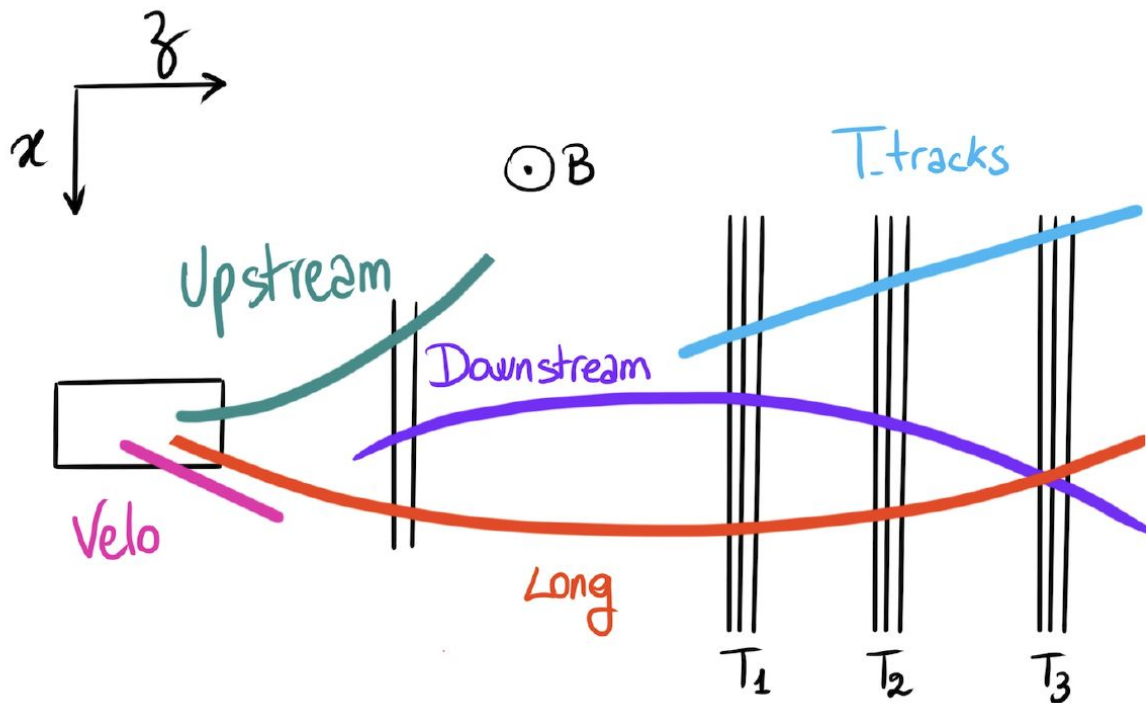


Reconstructing ϕ^0 's

At LHCb, ϕ^0 decay to $p\pi$
after few ns, few m

Reconstruct p and π as pairs of
Long tracks (including VELO)
or Downstream tracks
(only TT and T stations)

Reconstructed ϕ^0 are
 $\sim 1/3$ LL, $\sim 2/3$ DD;
however, LL ϕ^0 candidates have
less background, better resolution



Electrons

Electrons differ from muons due to material interactions (bremsstrahlung)

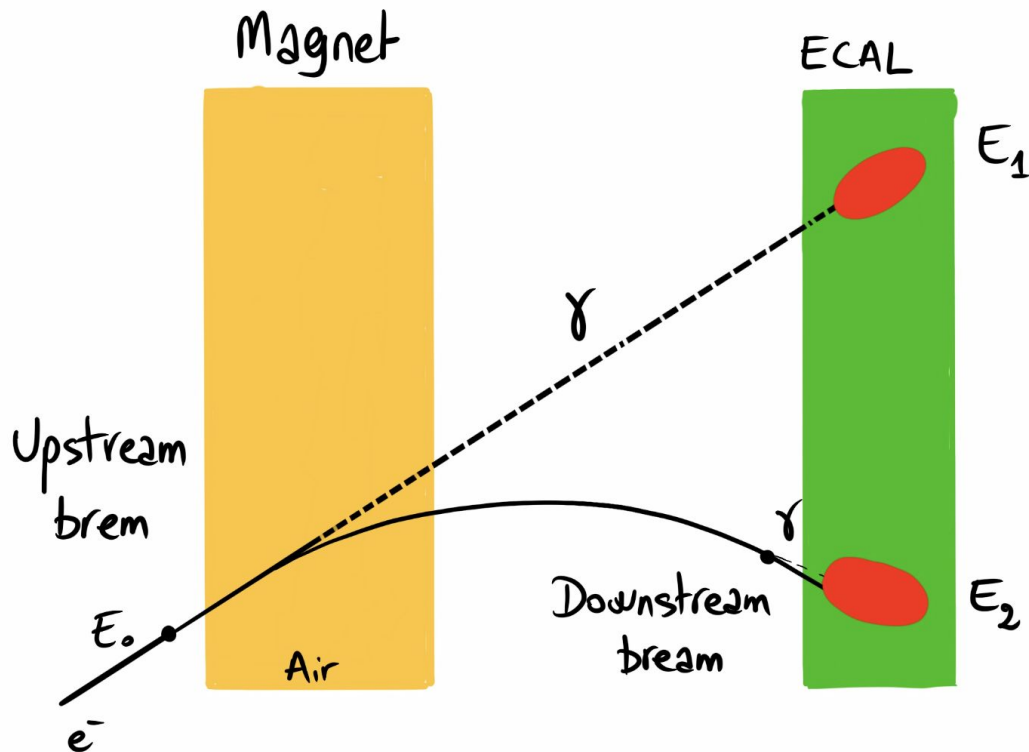
Energy loss of electron of $\sim 30\%$:

- Track momentum \neq electron momentum
- Lower reconstruction efficiency

Reconstruct upstream brem cluster to recover lost energy:

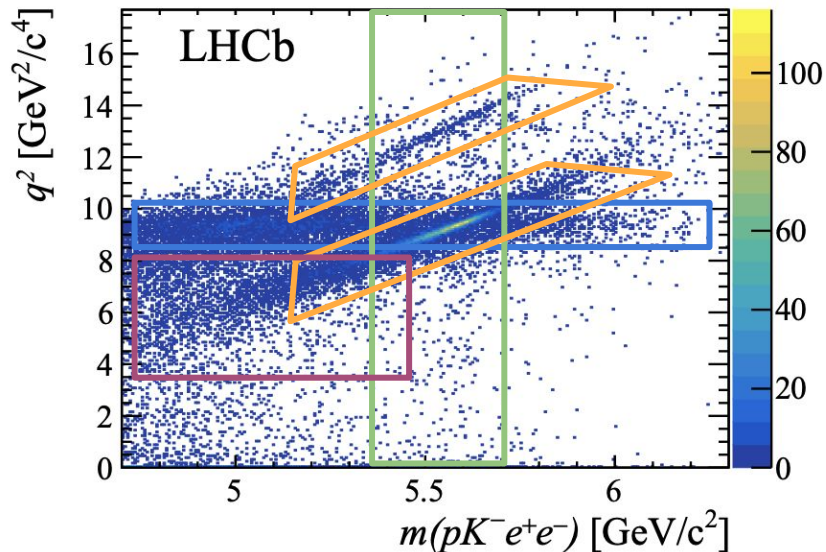
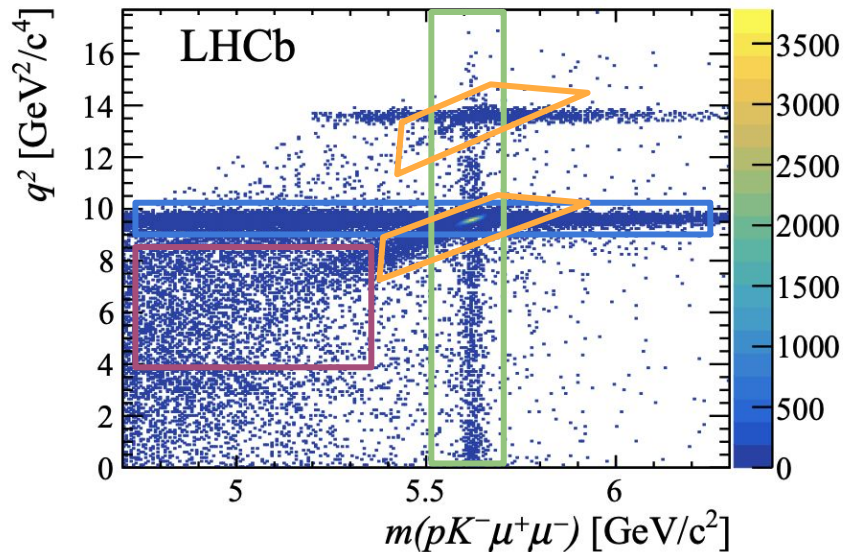
Not easy in busy pp events!

Still, $\frac{1}{2}$ of electrons have brem recovered! (but worse resolution than regular tracks, ie muons)



Mass versus q^2

Identify \Box_b^0 contributions from **charmonium** modes and **rare** mode;
backgrounds exist from **partially reconstructed** and **charmonium + hadron** combinations



Analysis strategy

$$R_H \propto \boxed{\frac{N(B \rightarrow H \mu^+ \mu^-)}{N(B \rightarrow H e^+ e^-)}} \times \boxed{\frac{\epsilon(B \rightarrow H e^+ e^-)}{\epsilon(B \rightarrow H \mu^+ \mu^-)}}$$

Counting from mass fits

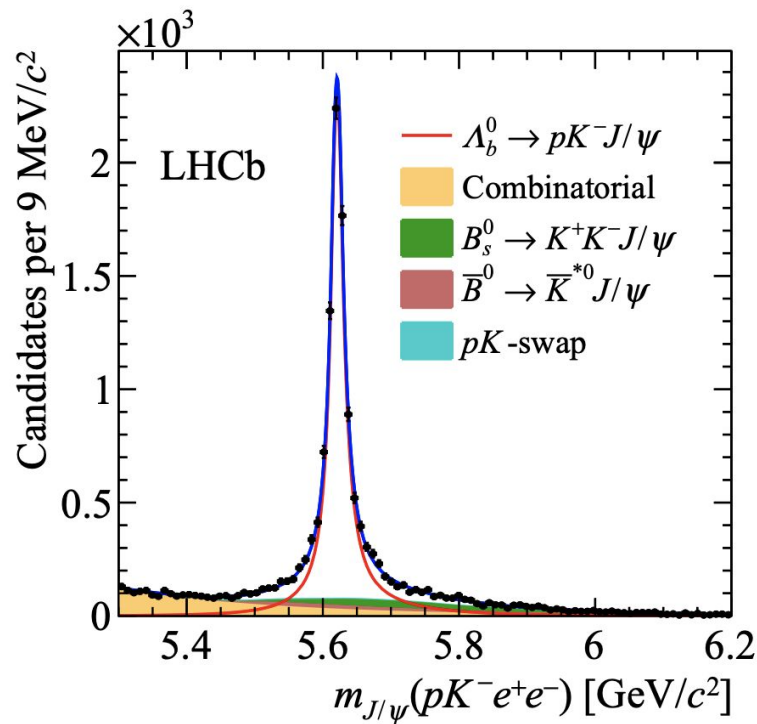
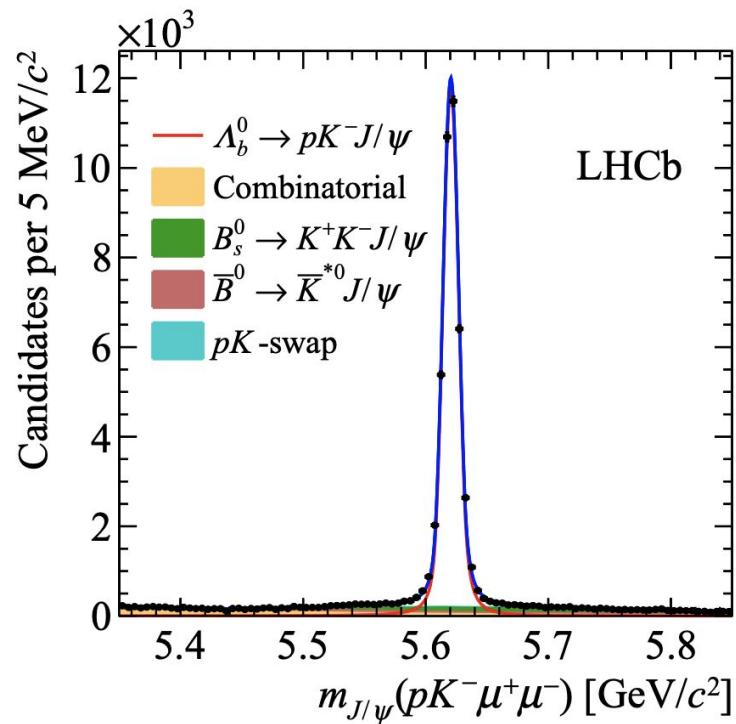
From simulation

$$r_{J/\psi} = \frac{BR(B \rightarrow H J/\psi(\mu^+ \mu^-))}{BR(B \rightarrow H J/\psi(e^+ e^-))} = 1$$

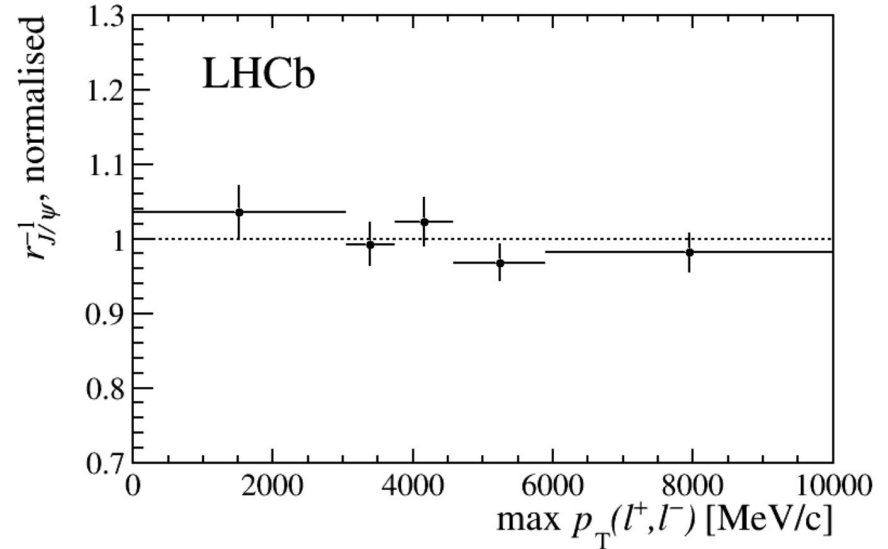
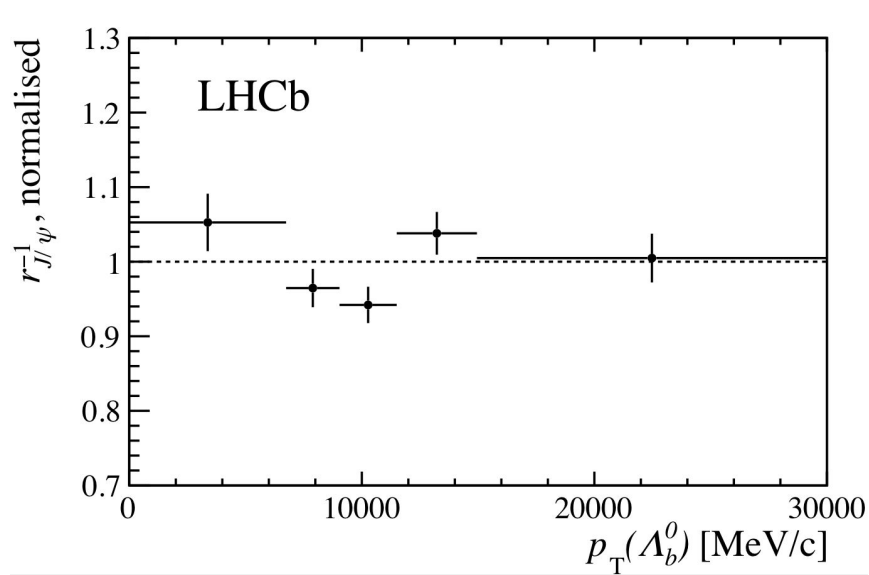


$$R_H = \frac{\frac{N(B \rightarrow H \mu^+ \mu^-)}{N(B \rightarrow H J/\psi(\mu^+ \mu^-))}}{\frac{N(B \rightarrow H e^+ e^-)}{N(B \rightarrow H J/\psi(e^+ e^-))}} \times \frac{\frac{\epsilon(B \rightarrow H e^+ e^-)}{\epsilon(B \rightarrow H J/\psi(e^+ e^-))}}{\frac{\epsilon(B \rightarrow H \mu^+ \mu^-)}{\epsilon(B \rightarrow H J/\psi(\mu^+ \mu^-))}}$$

Calibration



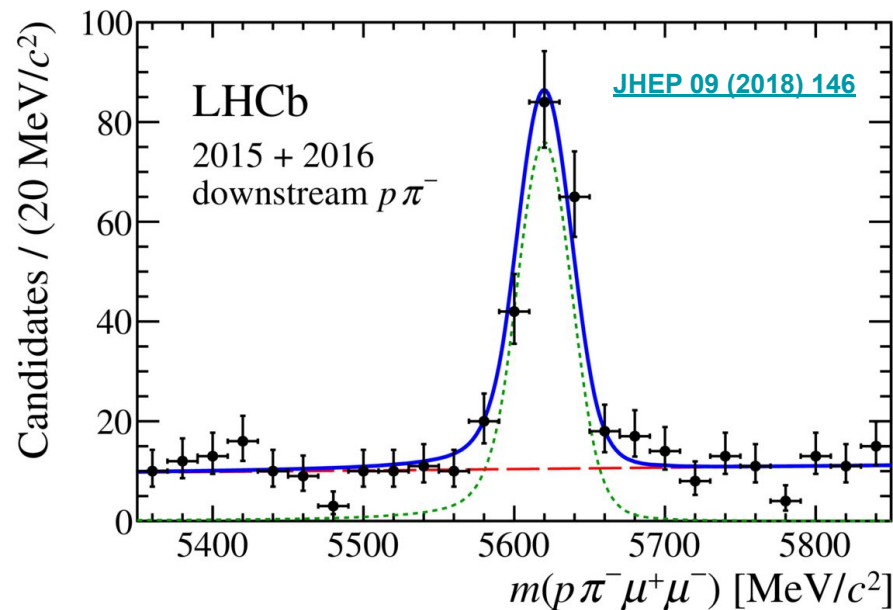
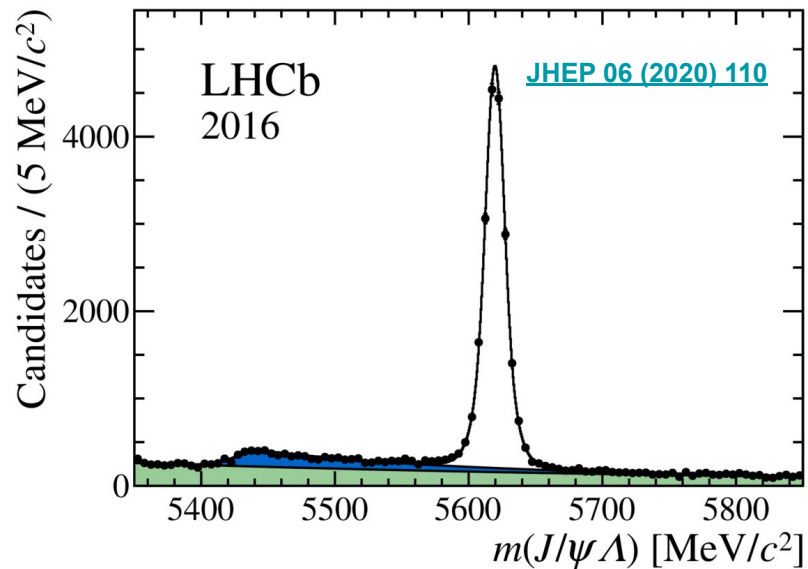
Move across the phase space



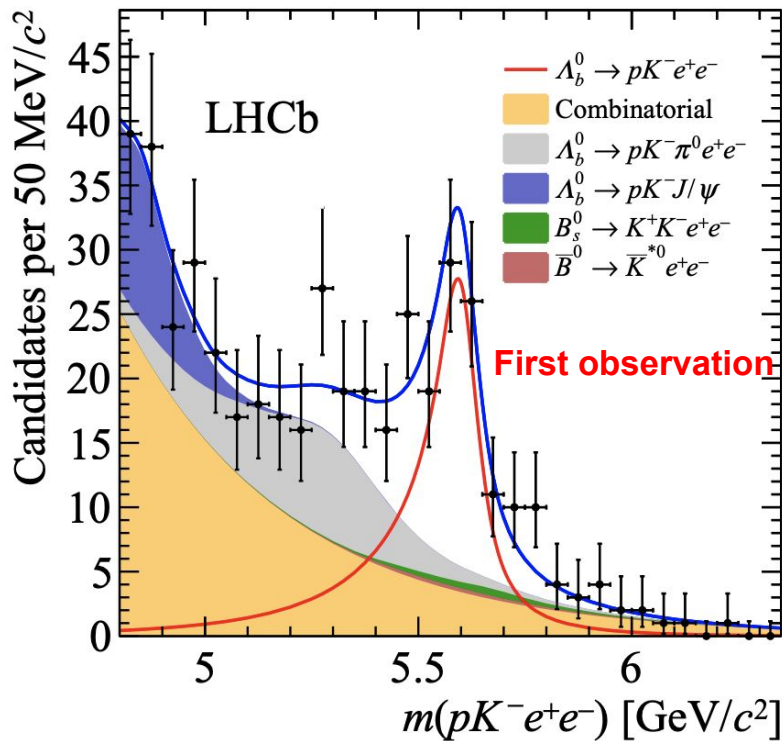
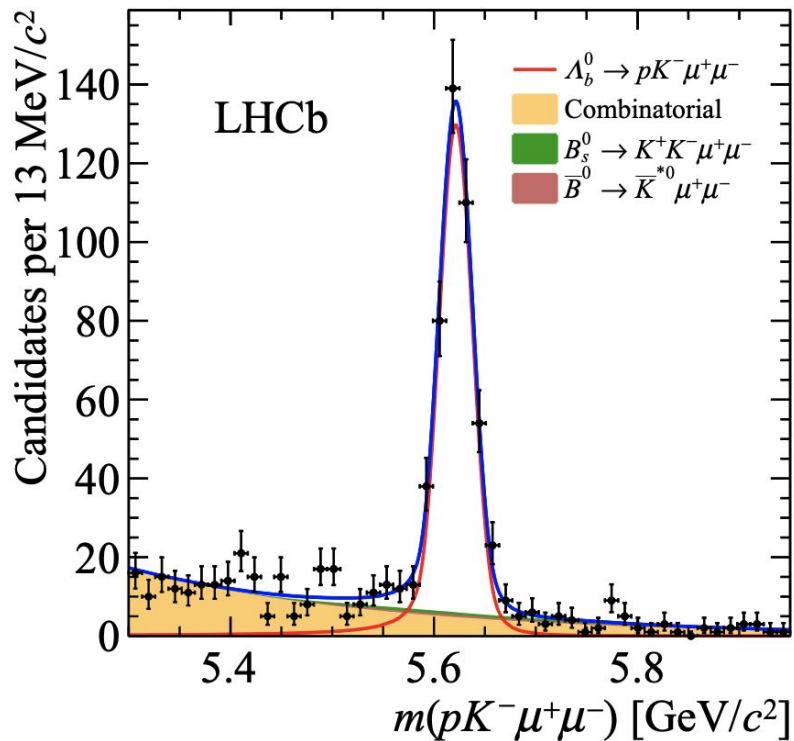
$$r_{J/\psi}^{-1} = 0.96 \pm 0.05$$

$$\Xi_b^0 \rightarrow J/\psi \Xi^0 + \text{rare mode}$$

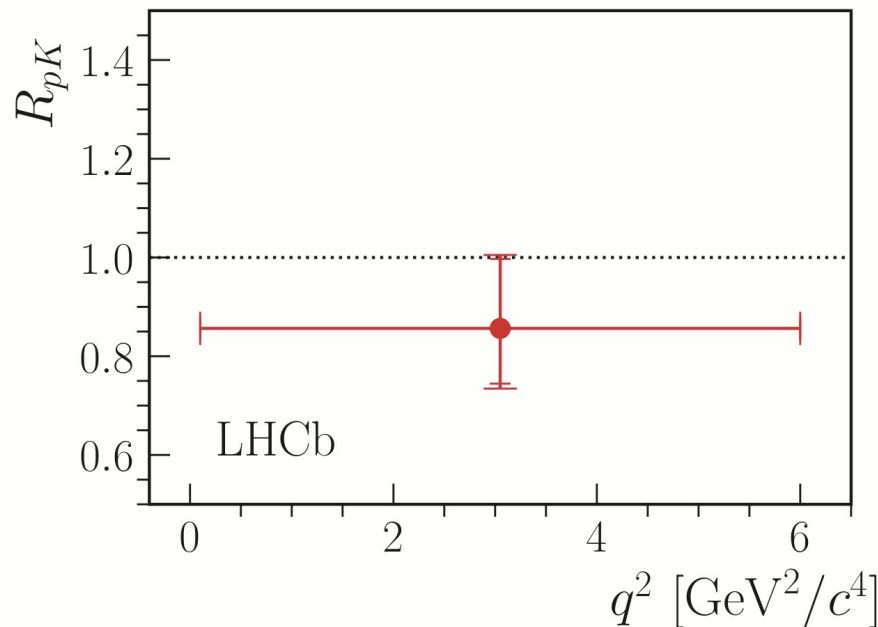
Fits from angular analyses to both modes



Rare modes



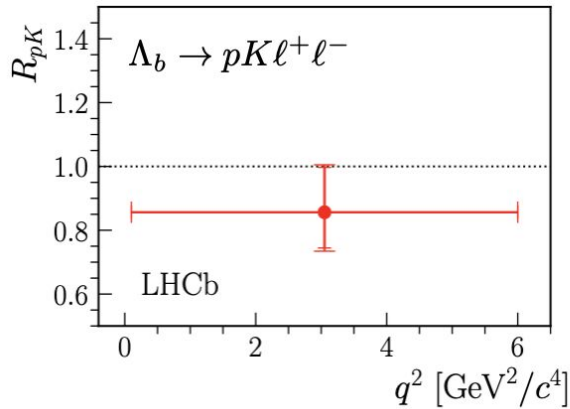
The result



$$R_{pK}^{-1} \Big|_{0.1 < q^2 < 6 \text{ GeV}^2/c^4} = 1.17^{+0.18}_{-0.16} \pm 0.07,$$

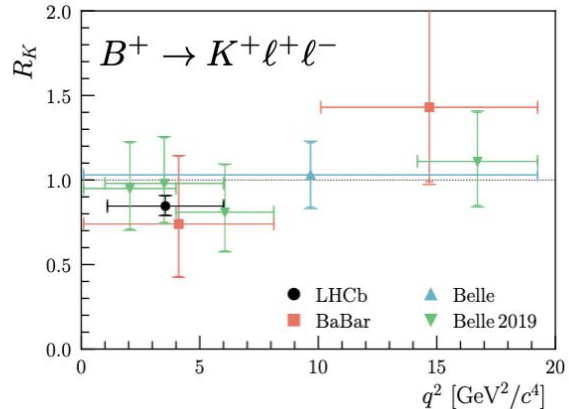
$R(\Lambda_b)_\Lambda$ Expect to observe $\Lambda_b \rightarrow \Lambda e e$ at high q^2 , at best evidence at low q^2 (Run 1+2)

Are we seeing a coherent pattern in the data ?



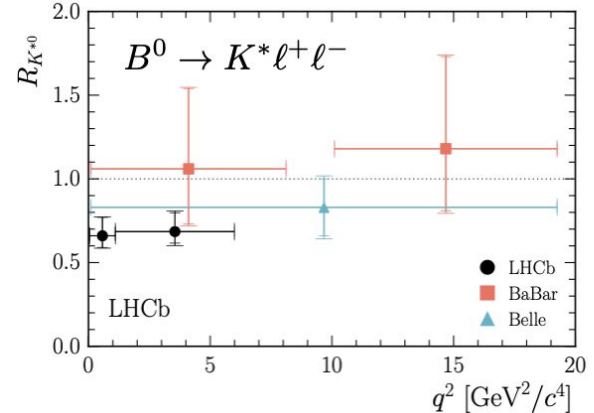
$$R_{pK} = 0.86^{+0.14}_{-0.11} \pm 0.05$$

$$0.1 < q^2 < 6 \text{ GeV}^2$$



$$R_K = 0.846^{+0.060+0.016}_{-0.054-0.014}$$

$$1.1 < q^2 < 6 \text{ GeV}^2$$



$$R_{K^*} = 0.69^{+0.11}_{-0.07} \pm 0.05$$

$$1.1 < q^2 < 6 \text{ GeV}^2$$

1912.08139, 1903.09252, 1705.05802

Conclusions

- Lepton universality is an interesting test of the SM and beyond.
- Tests with b -baryons are complementary and probe separate degrees of freedom
- LHCb is well suited to study $R(\Lambda_b)_\Lambda$ and $R(\Lambda_b)_{pK}$
- Challenging experimental analyses (electrons, etc.)
- Calibration with charmonium modes essential.
- Looking forward to more fun with b -baryons :)



/BEHIND THE SCENES

Decay mode	q^2 [GeV ² /c ⁴]	$pK^-\ell^+\ell^-$ invariant mass [GeV/c ²]
$\Lambda_b^0 \rightarrow pK^-e^+e^-$	0.1 – 6.0	4.80 – 6.32
$\Lambda_b^0 \rightarrow pK^-J/\psi(\rightarrow e^+e^-)$	6.0 – 11.0	5.30 – 6.20
$\Lambda_b^0 \rightarrow pK^-\mu^+\mu^-$	0.1 – 6.0	5.30 – 5.95
$\Lambda_b^0 \rightarrow pK^-J/\psi(\rightarrow \mu^+\mu^-)$	8.41 – 10.24	5.35 – 5.85

Table 2: Efficiency ratios between the nonresonant and resonant modes, $\epsilon(\Lambda_b^0 \rightarrow pK^-\ell^+\ell^-)/\epsilon(\Lambda_b^0 \rightarrow pK^-J/\psi(\rightarrow \ell^+\ell^-))$, for the muon final state and electron final state in the two trigger categories and data-taking periods. The uncertainties are statistical only.

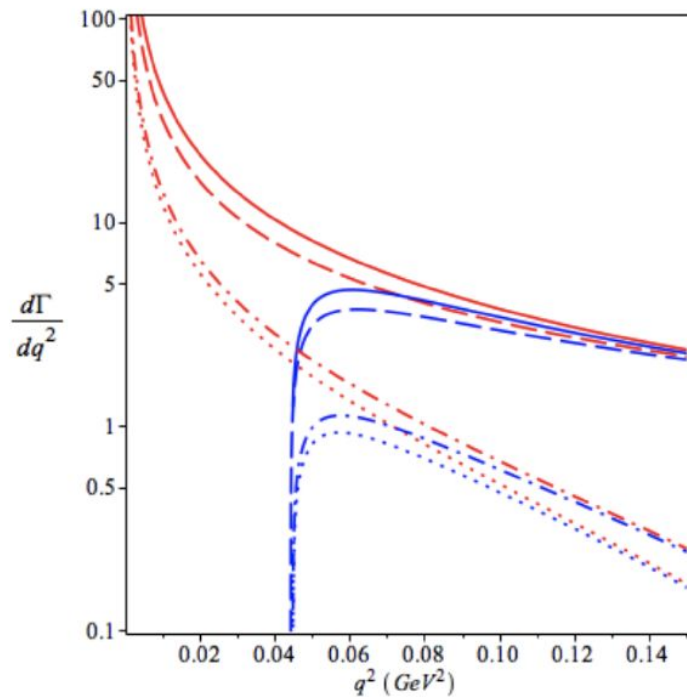
Channel	Run 1	Run 2
$\mu^+\mu^-$	0.756 ± 0.010	0.796 ± 0.013
e^+e^- (L0I)	0.862 ± 0.017	0.859 ± 0.018
e^+e^- (L0E)	0.630 ± 0.013	0.631 ± 0.013

$$N^i(\Lambda_b^0 \rightarrow pK^- \mu^+ \mu^-) = r_{\mathcal{B}} \times \frac{N^i(\Lambda_b^0 \rightarrow pK^- J/\psi(\rightarrow \mu^+ \mu^-))}{\mathcal{B}(J/\psi \rightarrow \ell^+ \ell^-)} \\ \times \frac{\epsilon^i(\Lambda_b^0 \rightarrow pK^- \mu^+ \mu^-)}{\epsilon^i(\Lambda_b^0 \rightarrow pK^- J/\psi(\rightarrow \mu^+ \mu^-))},$$

$$N^i(\Lambda_b^0 \rightarrow pK^- e^+ e^-) = R_{pK}^{-1} \times r_{\mathcal{B}} \times \frac{N^i(\Lambda_b^0 \rightarrow pK^- J/\psi(\rightarrow e^+ e^-))}{\mathcal{B}(J/\psi \rightarrow \ell^+ \ell^-)} \\ \times \frac{\epsilon^i(\Lambda_b^0 \rightarrow pK^- e^+ e^-)}{\epsilon^i(\Lambda_b^0 \rightarrow pK^- J/\psi(\rightarrow e^+ e^-))},$$

Source	Run 1	Run 2	Correlated
Decay model	—	—	3.6
Efficiency corrections	2.5	3.3	—
Fit model	—	—	1.4
Normalisation mode	0.9	1.4	—
Total uncorrelated	2.6	3.6	—
Total correlated	—	—	3.9

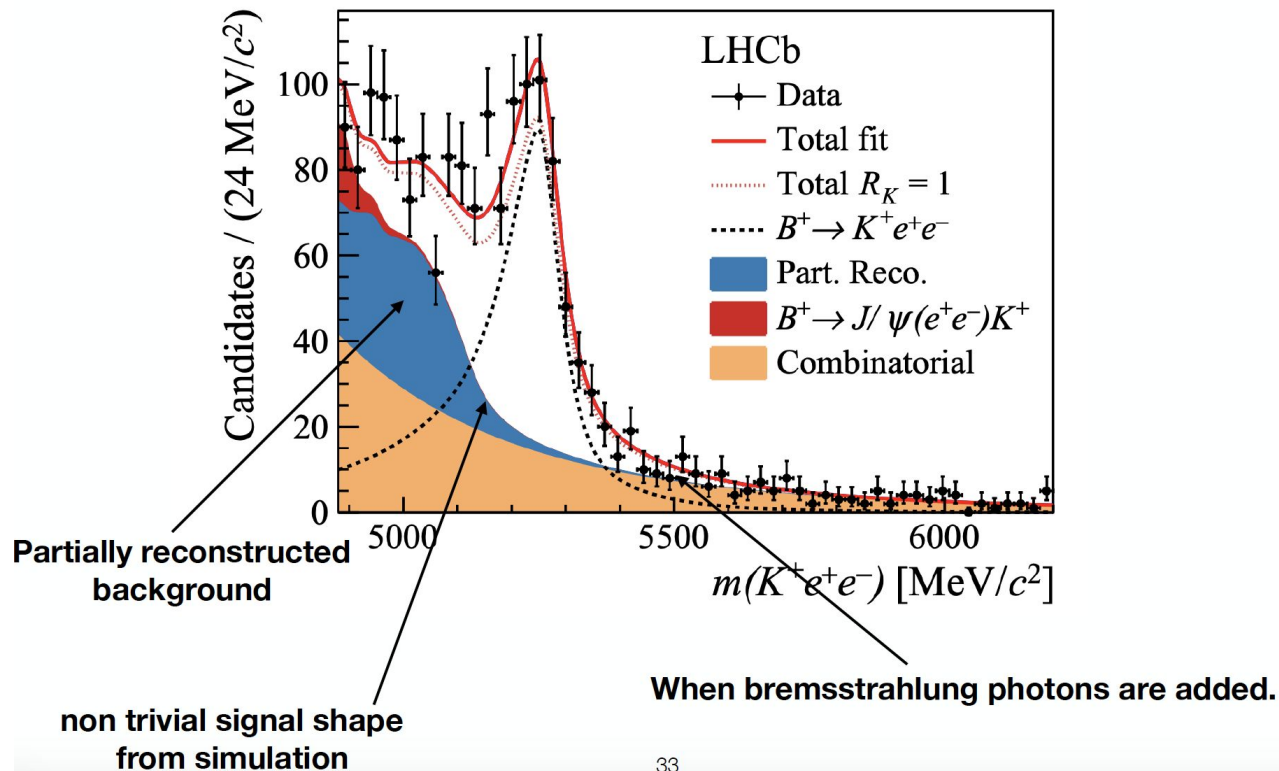
Source	Run 1 L0I	Run 1 L0E	Run 2 L0I	Run 2 L0E	Correlated
Decay model	—	—	—	—	1.9
Efficiency corrections	3.4	3.6	3.6	3.2	—
Normalisation modes	3.7	3.7	3.5	2.7	—
q^2 migration	—	—	—	—	2.0
m_{corr} cut efficiency	—	—	—	—	0.5
Fit model	—	—	—	—	5.2
Total uncorrelated	5.0	5.2	5.0	4.2	—
Total correlated	—	—	—	—	5.9

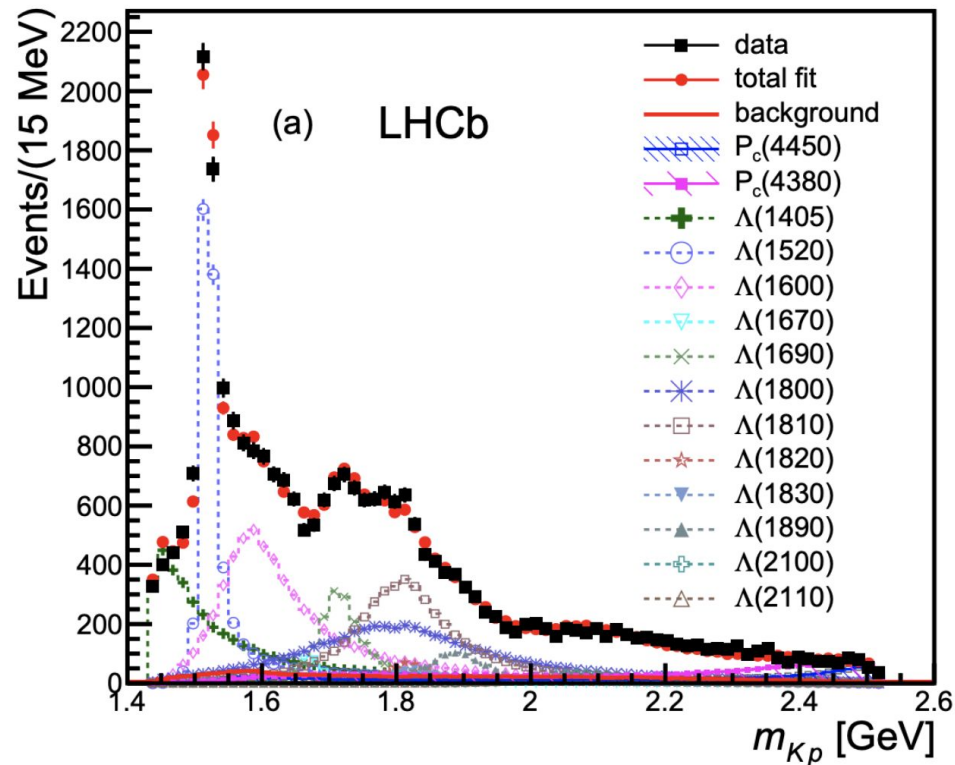


$$R_{K^*}[1.1, 6.0]^{\text{SM}} = 1.00 \pm 0.01_{\text{QED}}$$

$$R_{K^+}[1.0, 6.0]^{\text{SM}} = 1.00 \pm 0.01_{\text{QED}}$$

$$R_{pK}^{-1} = \frac{\mathcal{B}(\Lambda_b^0 \rightarrow pK^- e^+ e^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow pK^- J/\psi(\rightarrow e^+ e^-))} \bigg/ \frac{\mathcal{B}(\Lambda_b^0 \rightarrow pK^- \mu^+ \mu^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow pK^- J/\psi(\rightarrow \mu^+ \mu^-))} ,$$





The hadronic spectrum

