



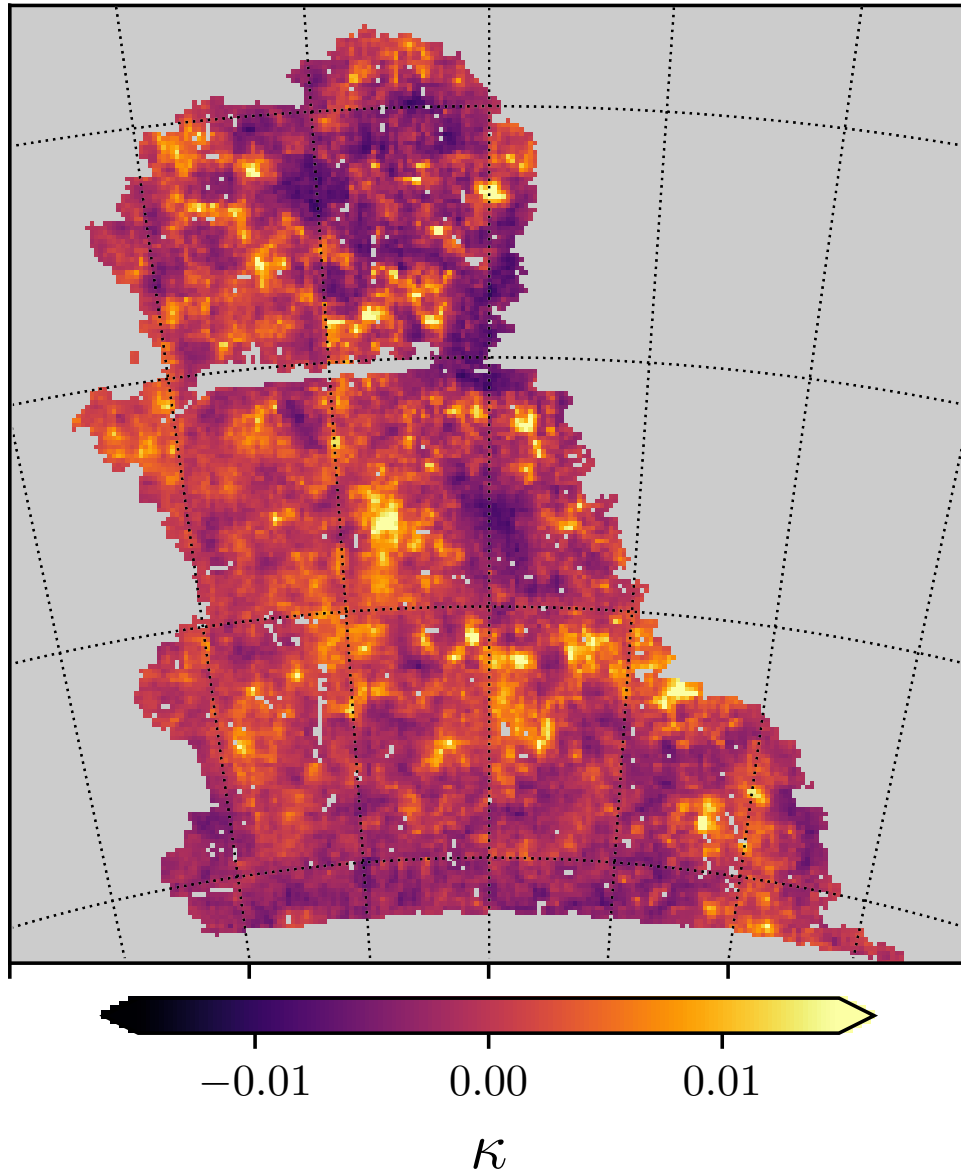
DeepMass

Deep learning dark matter map reconstructions from weak lensing data

Niall Jeffrey
collab. F. Lanusse, O. Lahav, J-L. Starck



DeepMass



Outline

1. Weak lensing map reconstruction
2. Deep learning a Bayesian estimate
3. Dark Energy Survey SV results
4. Likelihood-free parameter inference

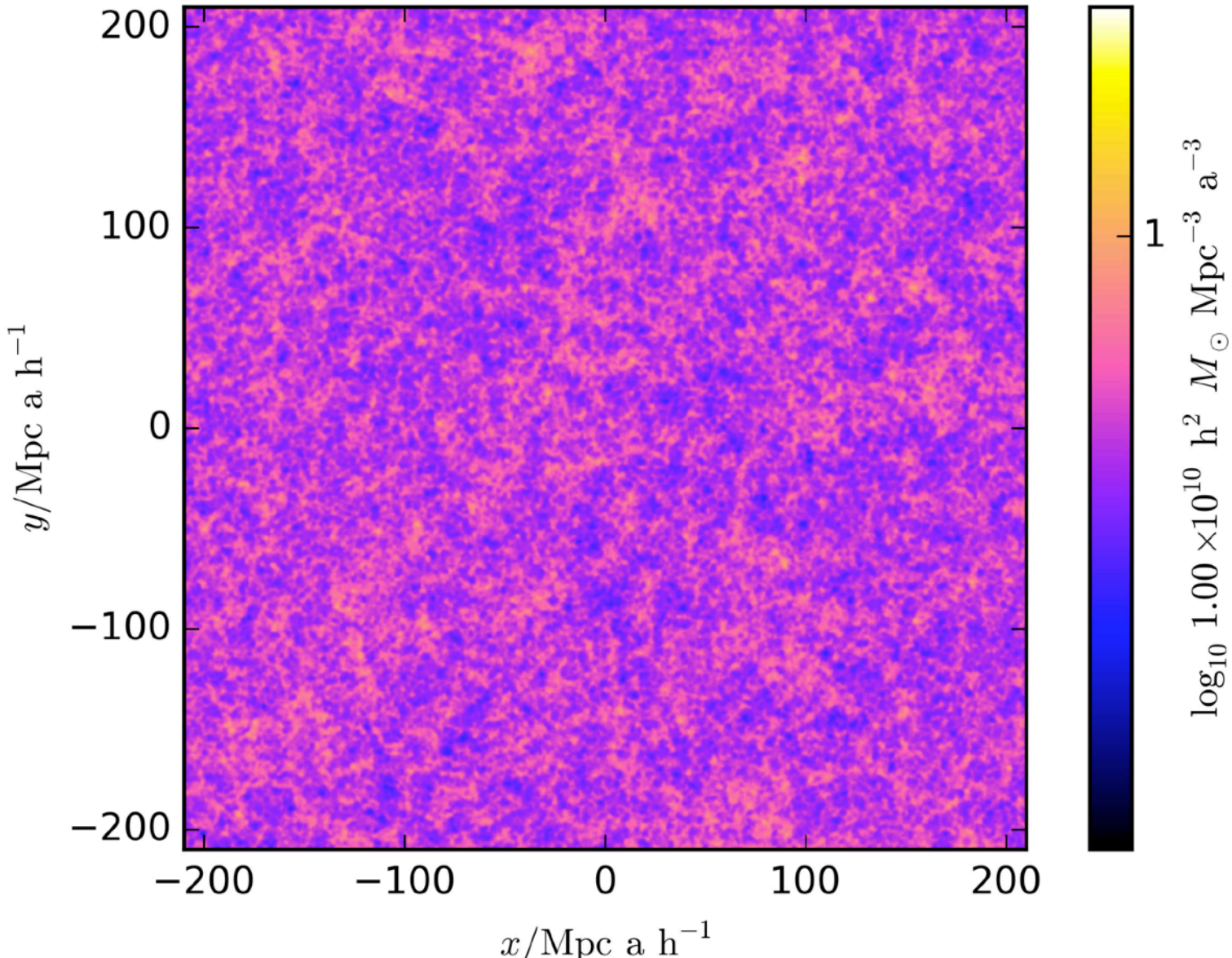
01

Weak lensing mass maps

Growth of structure

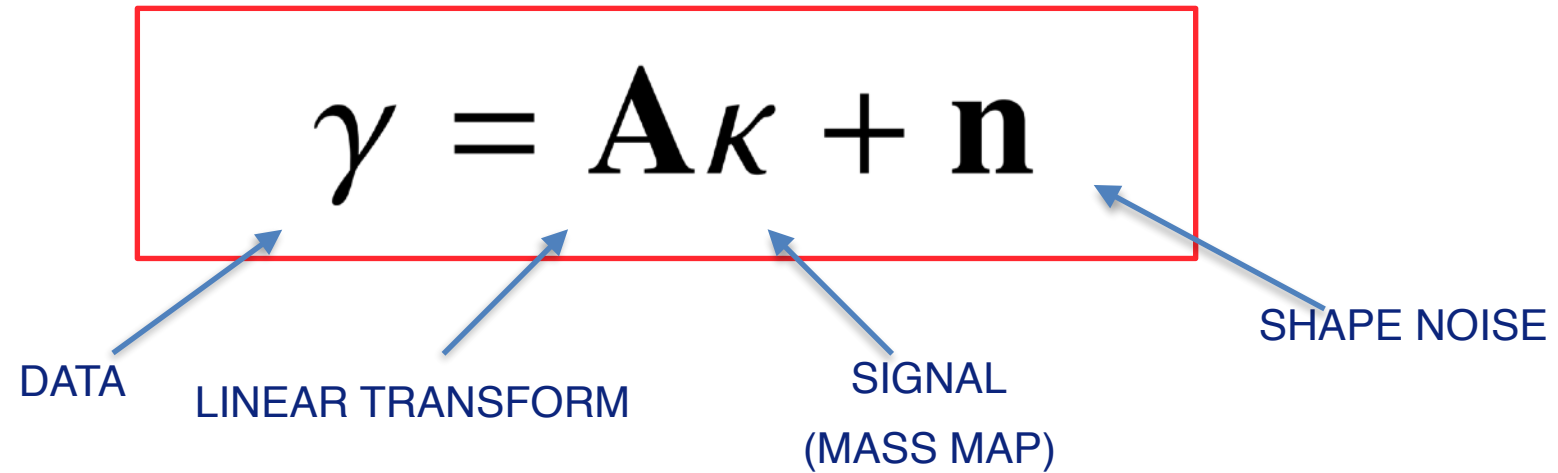
L-PICOLA simulation

13.13 Billion Years Ago ($z = 35.000$)



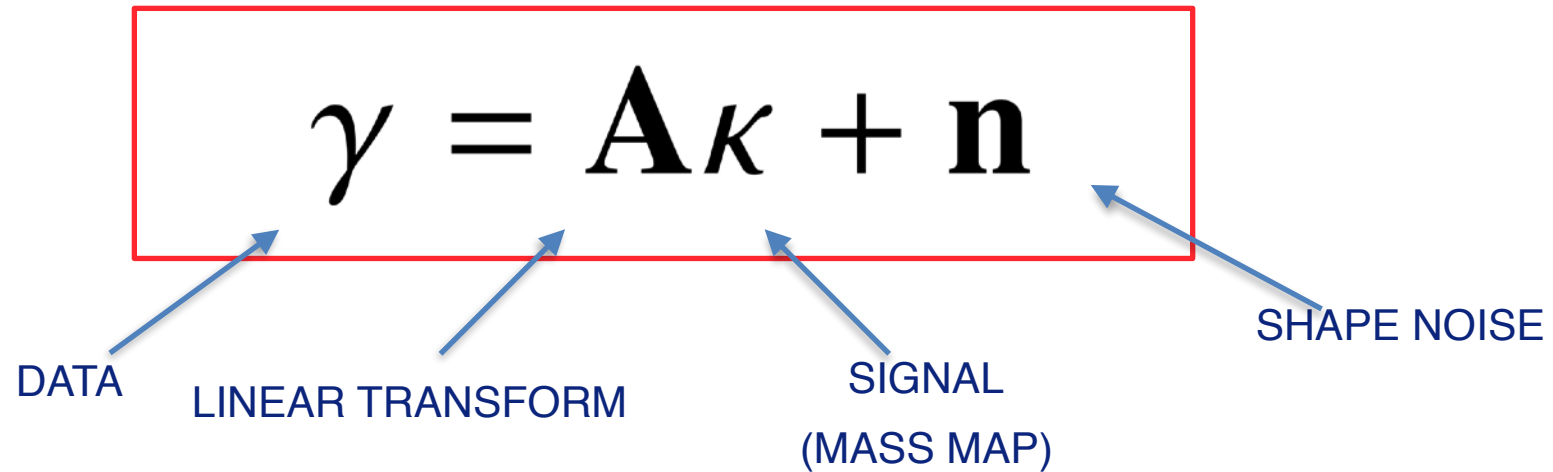
Mass mapping

Linear data model



Mass mapping

Linear data model



Kaiser-Squires 1993 Estimator

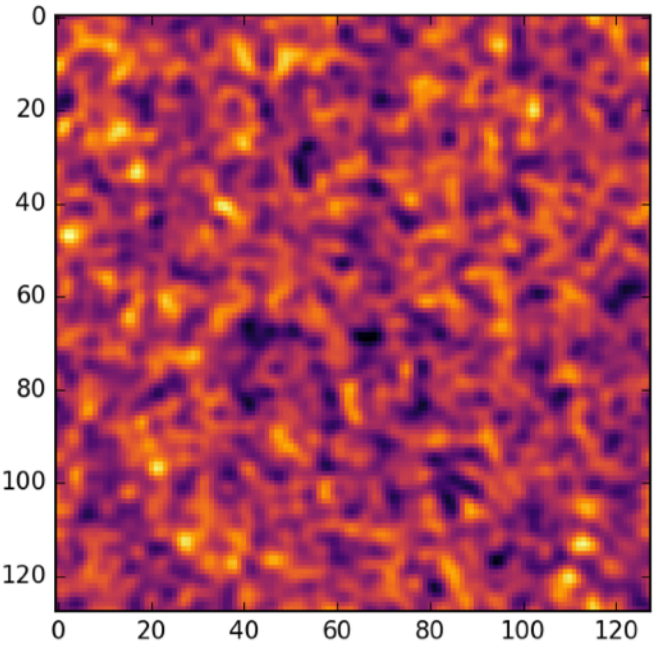
$$\hat{\gamma}(\vec{l}) = \pi^{-1} \hat{\mathcal{D}}(\vec{l}) \hat{\kappa}(\vec{l})$$

Mass mapping inference

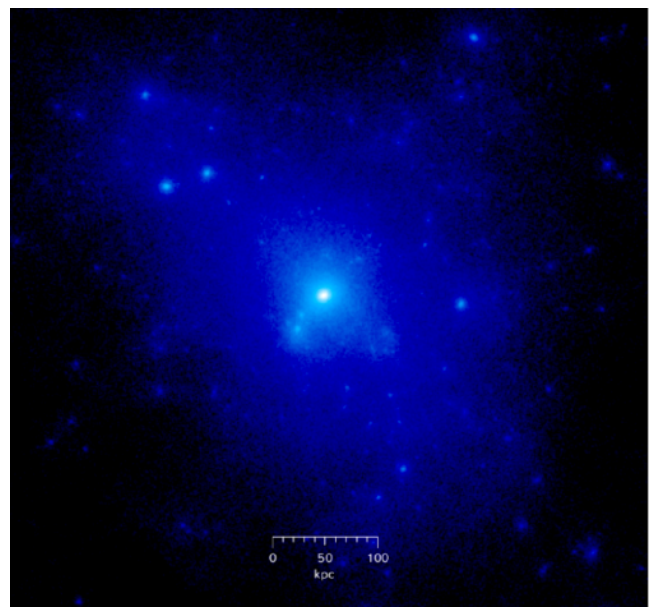
Bayesian “*maximum a posteriori*”

$$\hat{\kappa} = \arg \max_{\kappa} \log P(\gamma|\kappa, \mathcal{M}) + \log P(\kappa|\mathcal{M})$$

Gaussian Random Field?



Dark Matter Halos?



The perfect prior?

No closed-form probability distribution of the matter field for the late Universe...

$$P(\kappa | \theta, \mathcal{M})$$

Parameters

Cosmological model

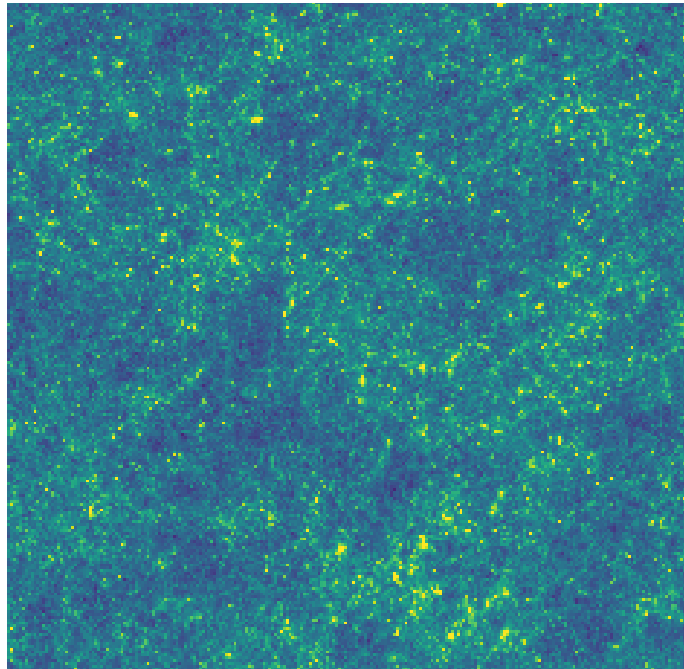
The perfect prior?

But, we can sample from the prior distribution...

$$\curvearrowright P(\kappa | \theta, \mathcal{M})$$

The perfect prior?

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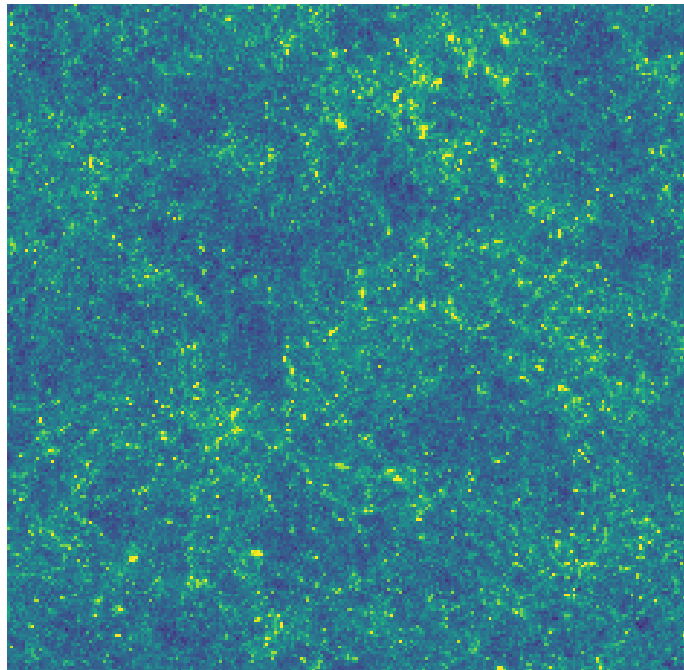


$$\curvearrowright P(\kappa|\theta, \mathcal{M})$$

simulated convergence map

The perfect prior?

But, we can sample from the prior distribution...

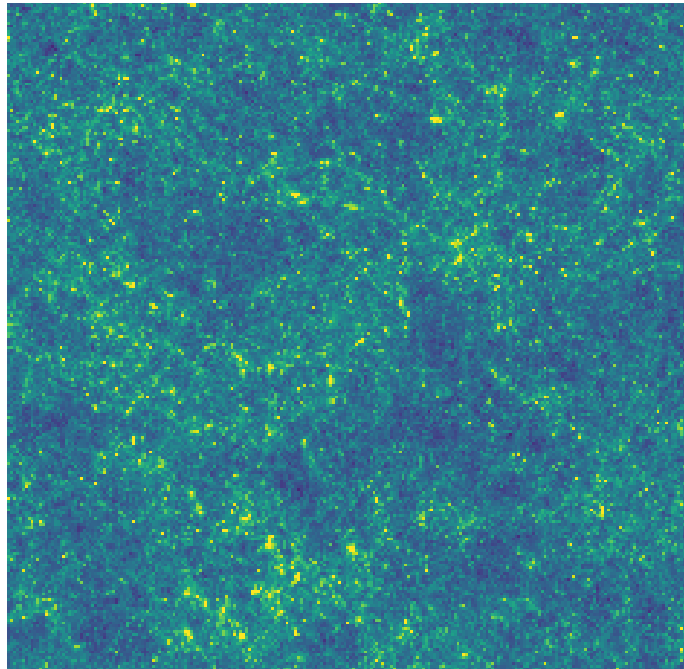


$$\curvearrowright P(\kappa | \theta, \mathcal{M})$$

simulated convergence map

The perfect prior?

But, we can sample from the prior distribution...



$$\curvearrowright P(\kappa | \theta, \mathcal{M})$$

simulated convergence map

02

Deep learning a Bayesian estimate

Mean posterior estimate

Deep learning framework

I. We seek to approximate the mean posterior:

$$\hat{\kappa} = \mathcal{F}_{\Theta}(\gamma) = \int \kappa P(\kappa|\gamma) d\kappa$$

II. This is achieved by minimising:

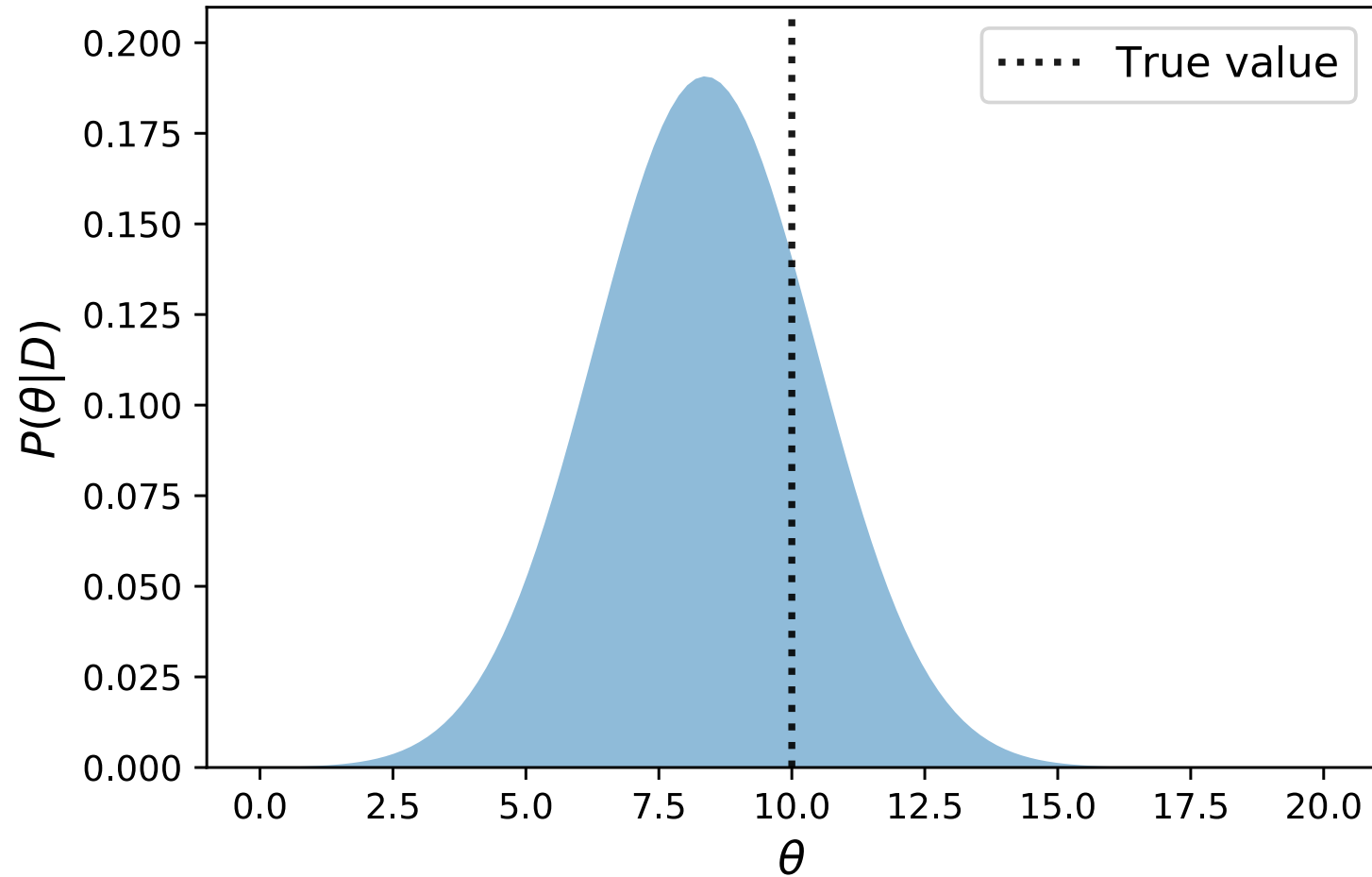
$$J(\Theta) = \left\| \mathcal{F}_{\Theta}(\gamma) - \kappa_{\text{true}} \right\|_2^2$$

A brief aside

Mean posterior estimation

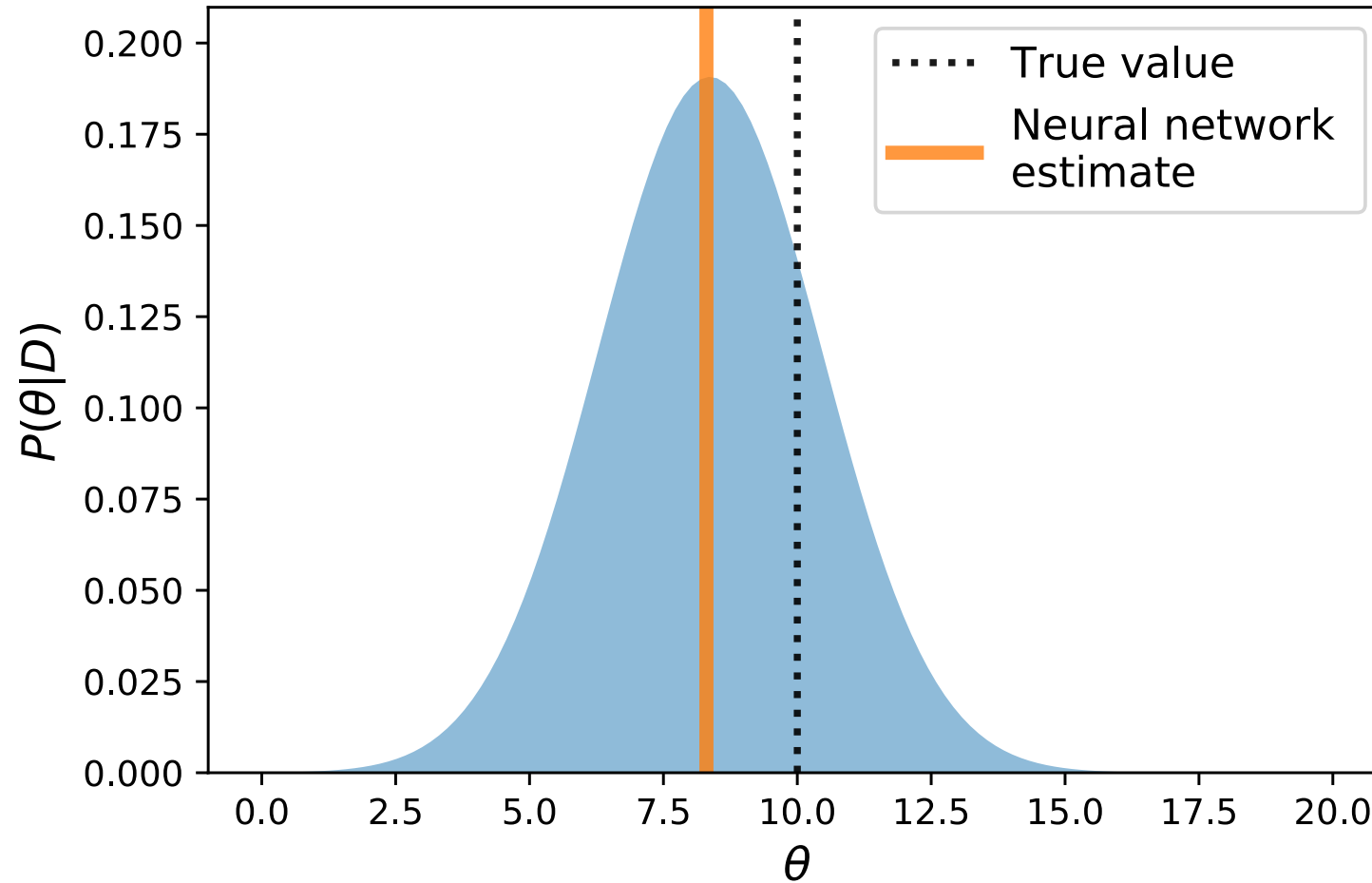
A brief aside

Mean posterior estimation



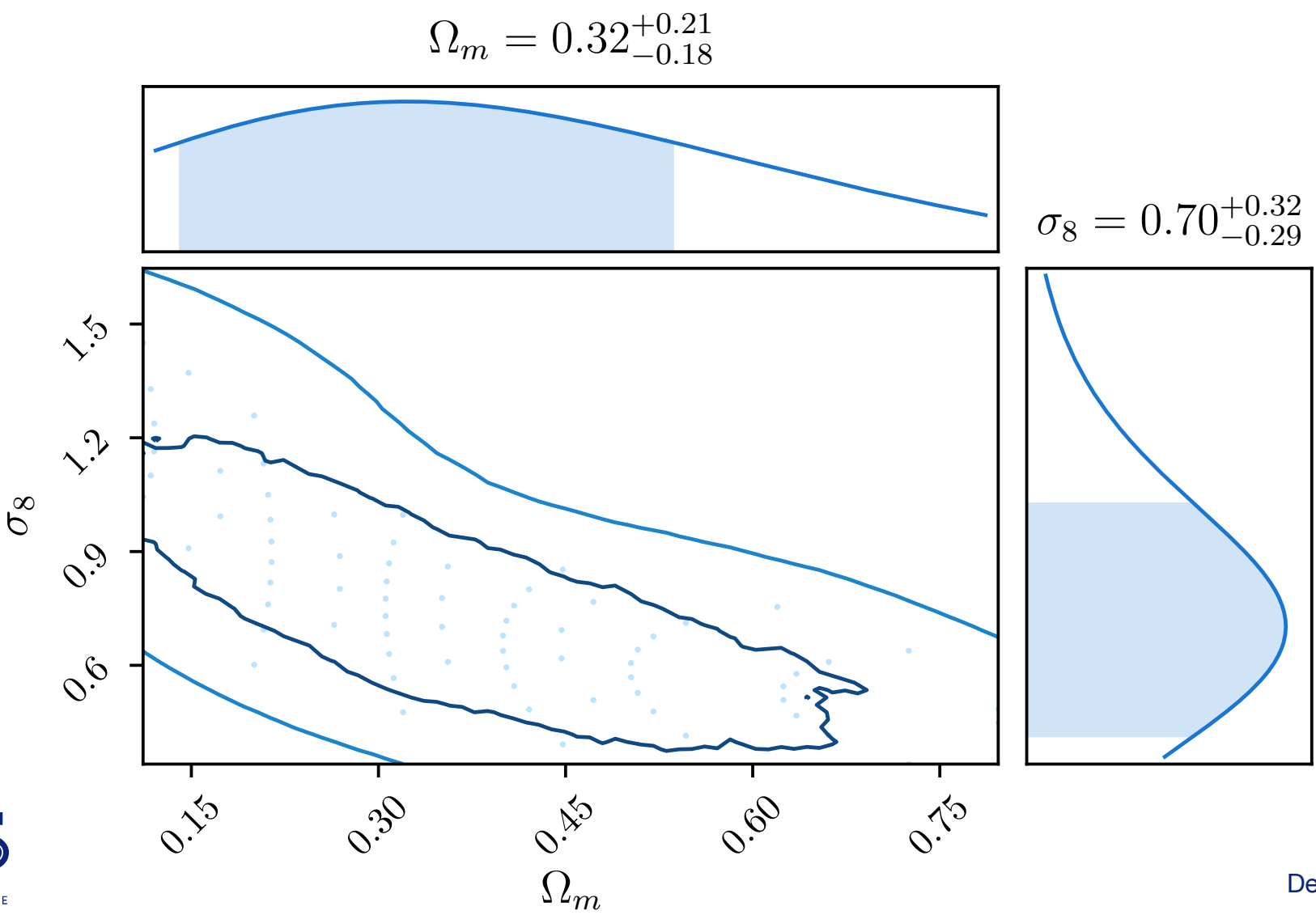
A brief aside

Mean posterior estimation



Step 1

Simulations parameters distributed from prior $P(\theta)$



Step 2

Learn the unknown function

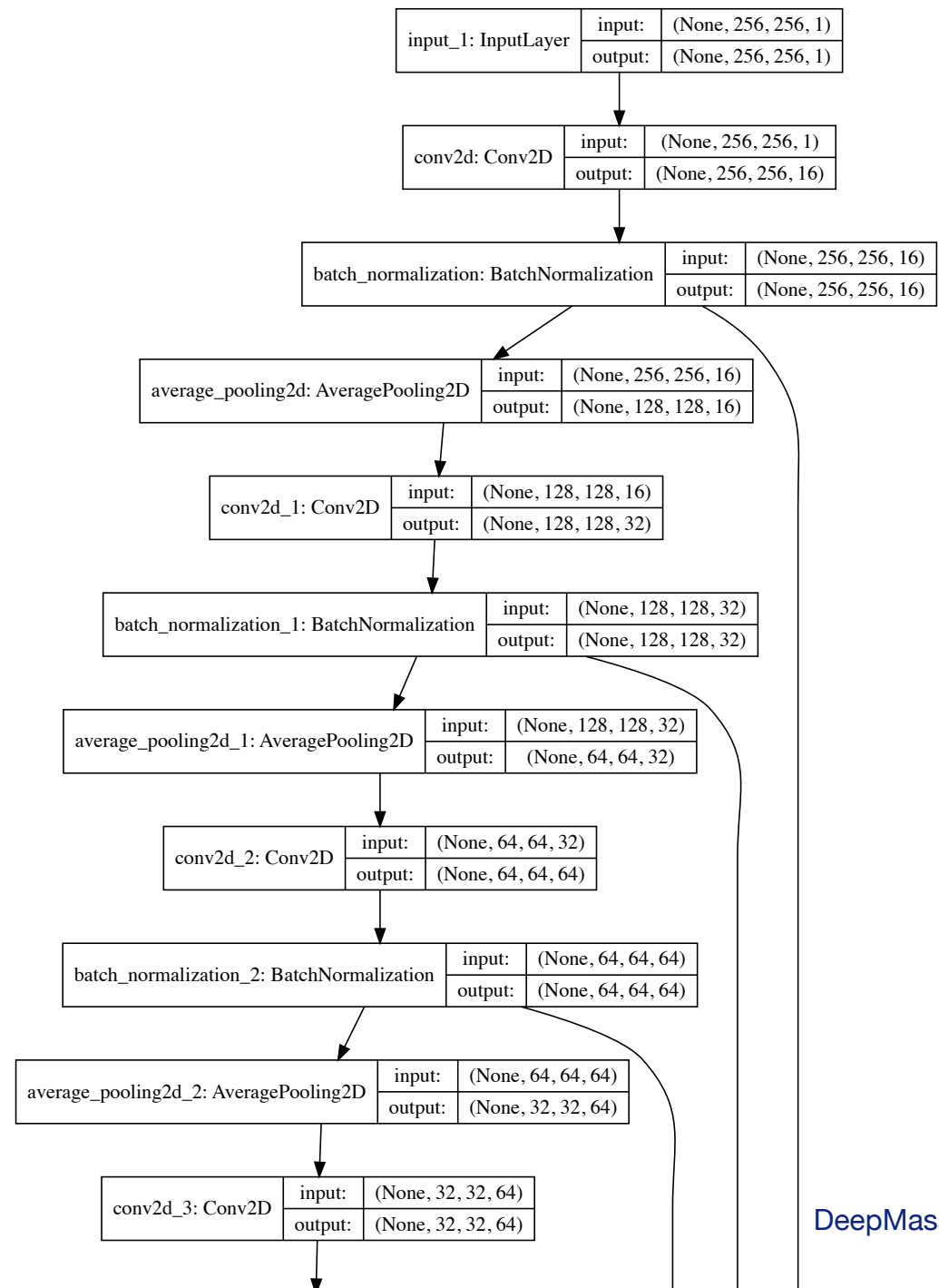
$$\hat{\mathbf{K}} = \mathcal{F}_{\Theta}(\gamma)$$

- I. Approximate function as a Convolutional Neural Network (CNN)
- II. Unknown parameters Θ are mainly convolution filters
- III. Minimise $J(\Theta)$ using 3×10^5 {clean map, noisy data} realisations

DeepMass architecture: U-Net

Expanding and contracting paths

- I. Hierarchy of downsampling i.e. “pooling”
- II. Increasing filter “receptive area”
- III. Multiscale filters



03

Results with Dark Energy Survey data

Dark Energy Survey

SV weak lensing data

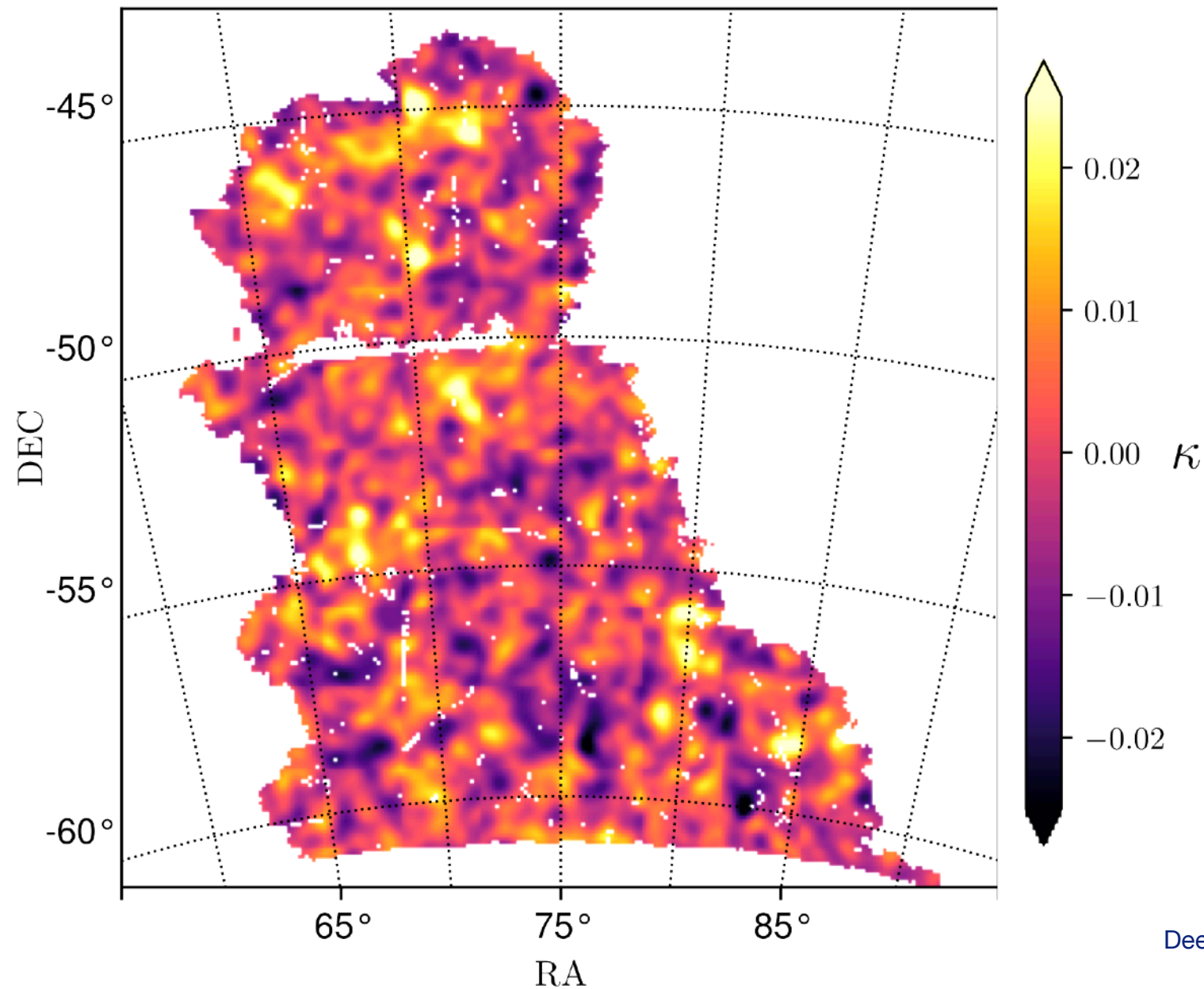


- I. Science Verification (SV) data are $<5\%$ of final area, but has final SNR

Results

Dark Energy Survey SV data

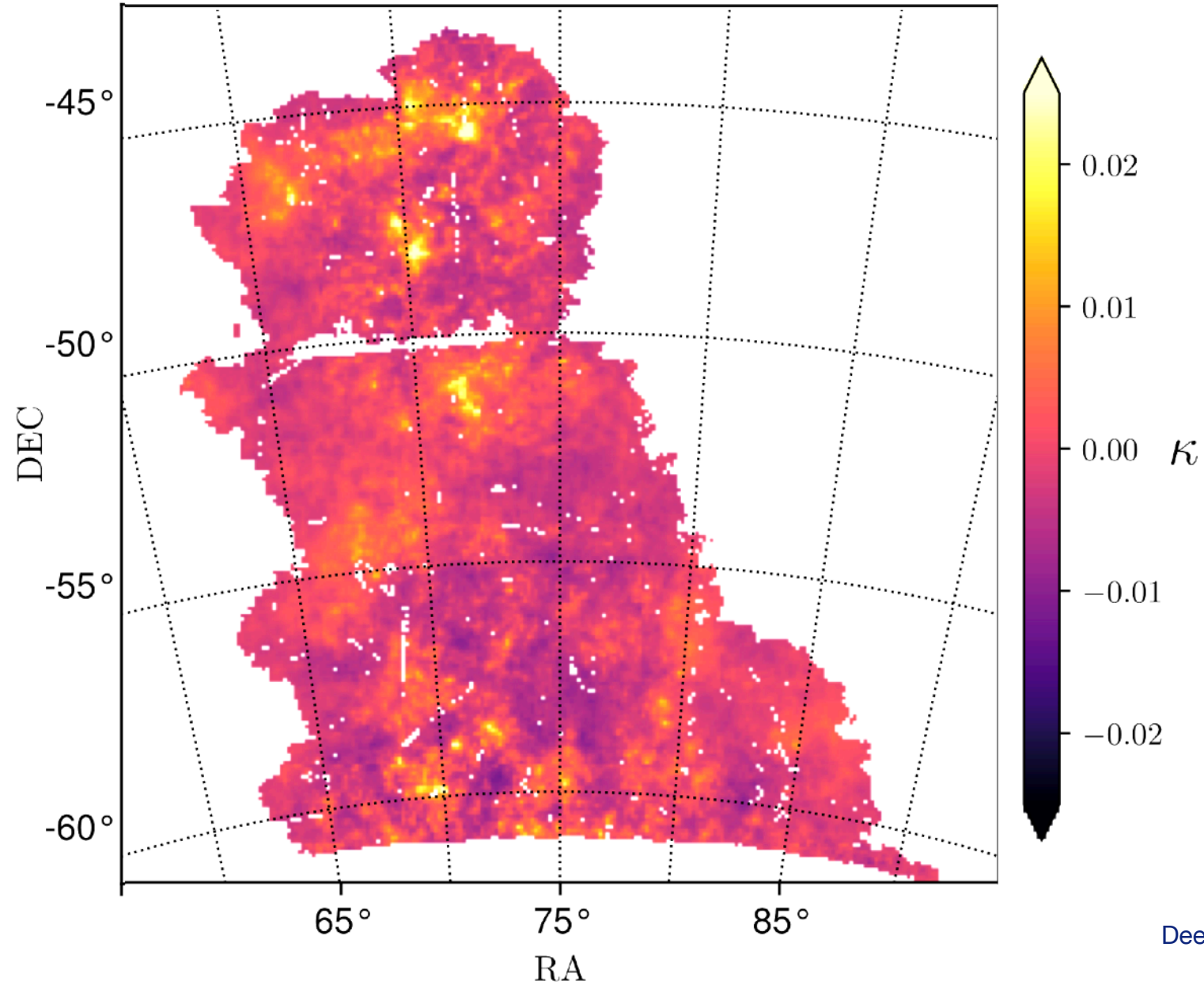
Kaiser-Squires



Results

Dark Energy Survey SV data

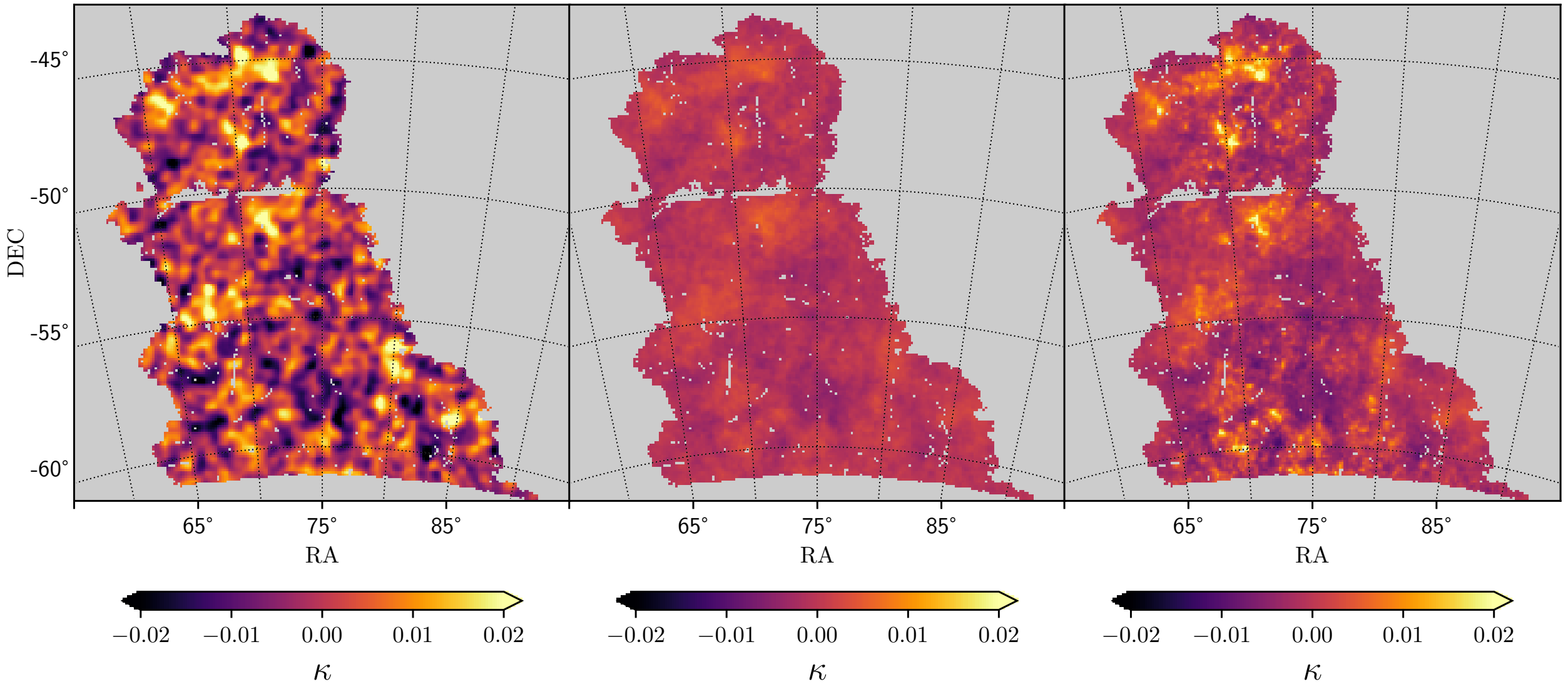
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Kaiser-Squires

Wiener filter

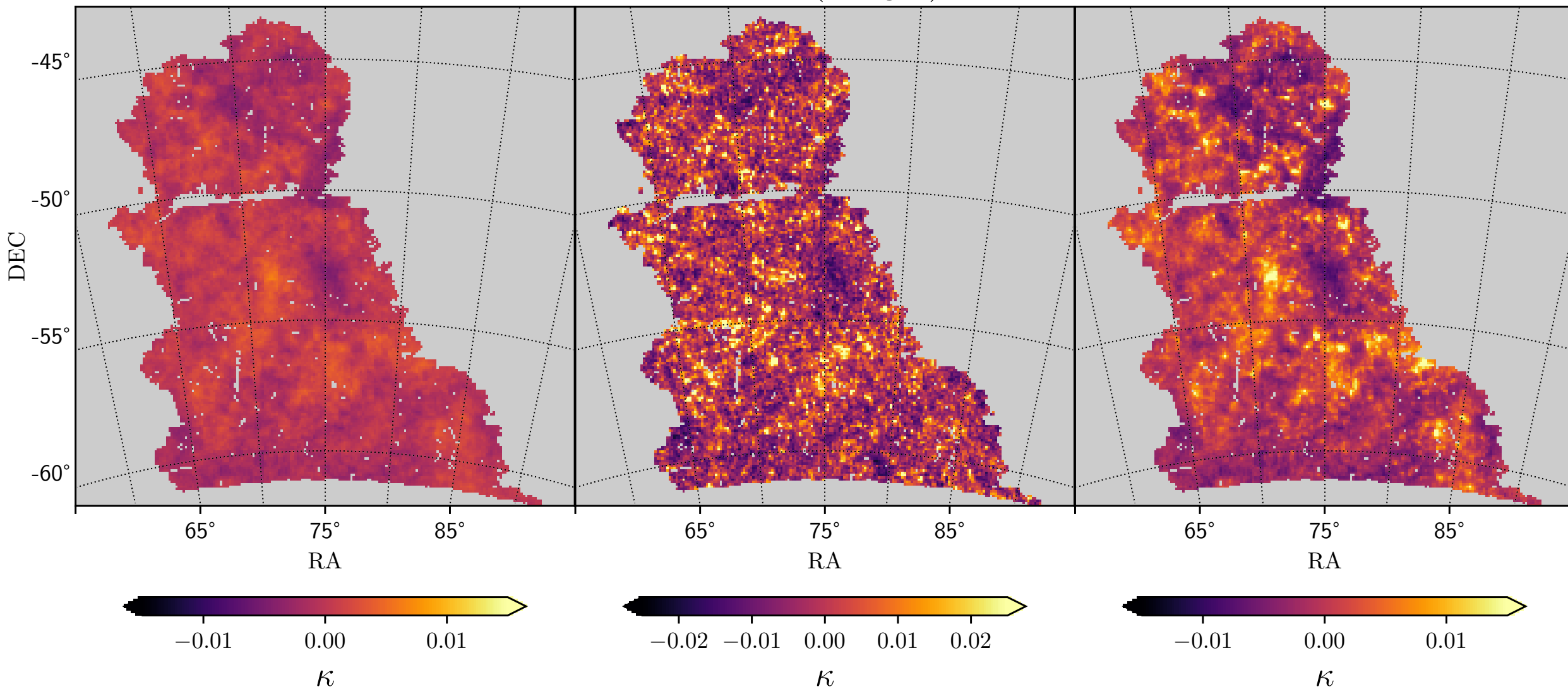
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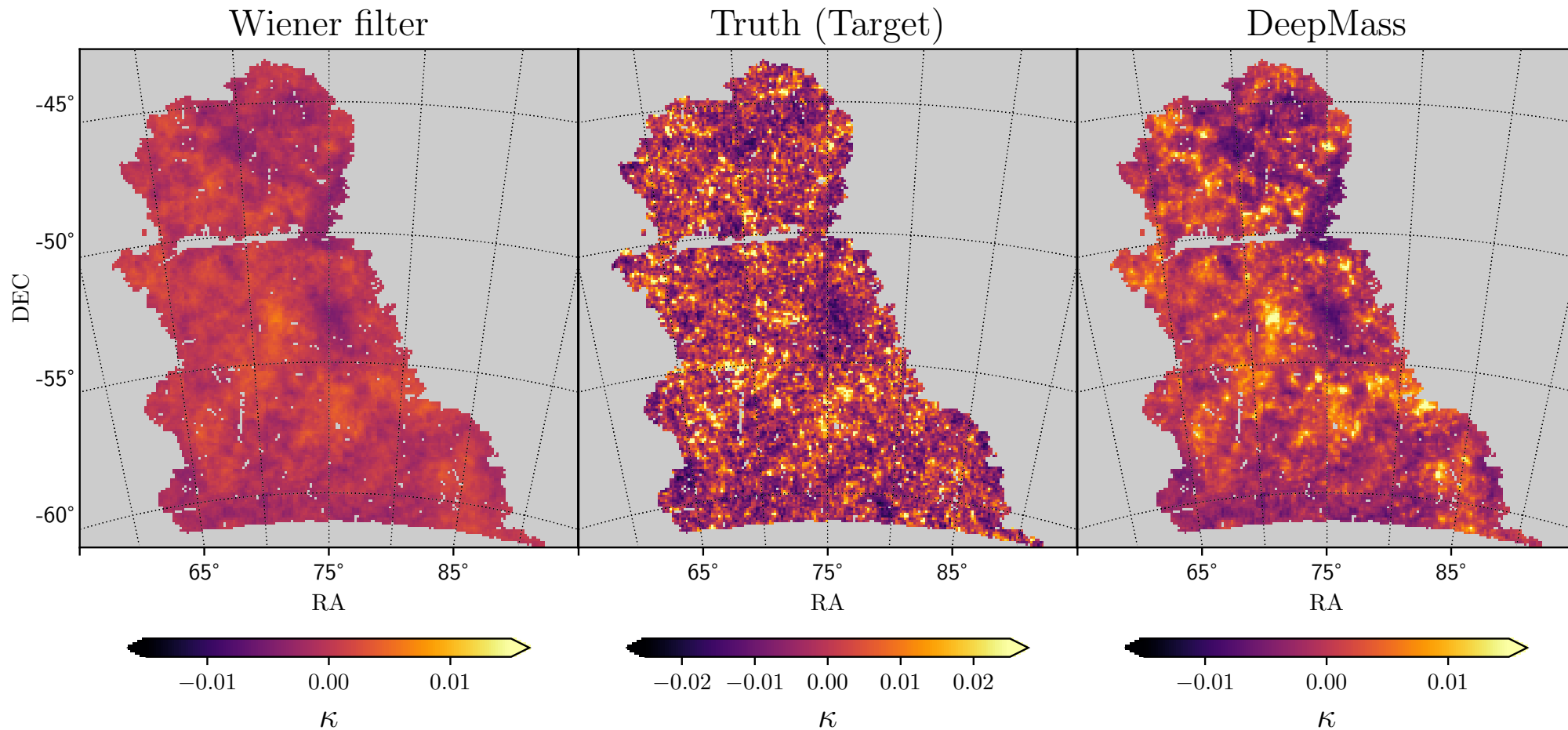


Wiener filter

Truth (Target)

DeepMass





- I. Wiener filter is optimal linear MSE filter
- II. 8000 sample maps not used for training
- III. DeepMass improves MSE by 11% compared to Wiener

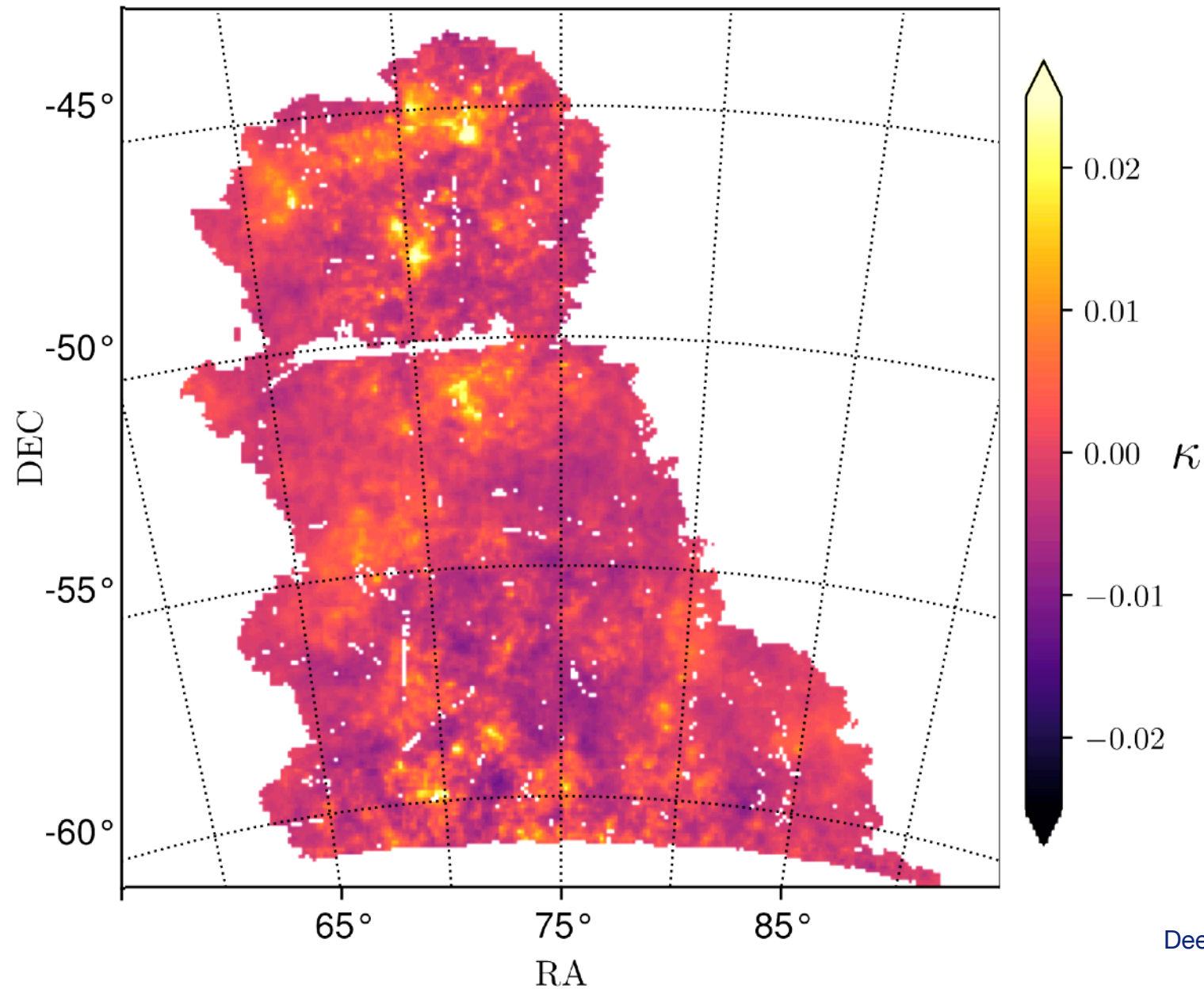
04

Likelihood-free inference

Results

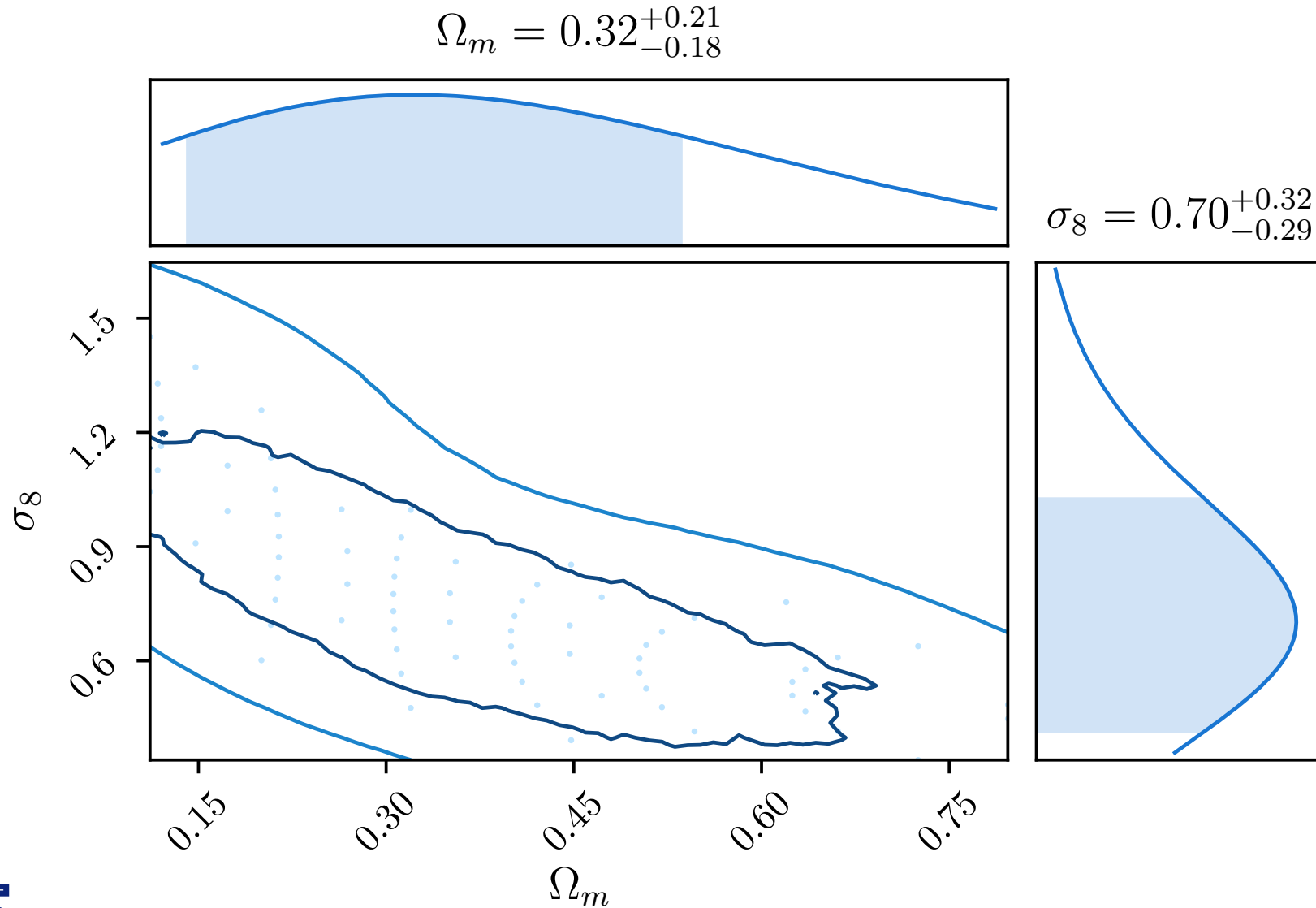
Dark Energy Survey SV data

DeepMass



Forward modelled data

Few data-model assumptions



Forward modelled data

Few data-model assumptions

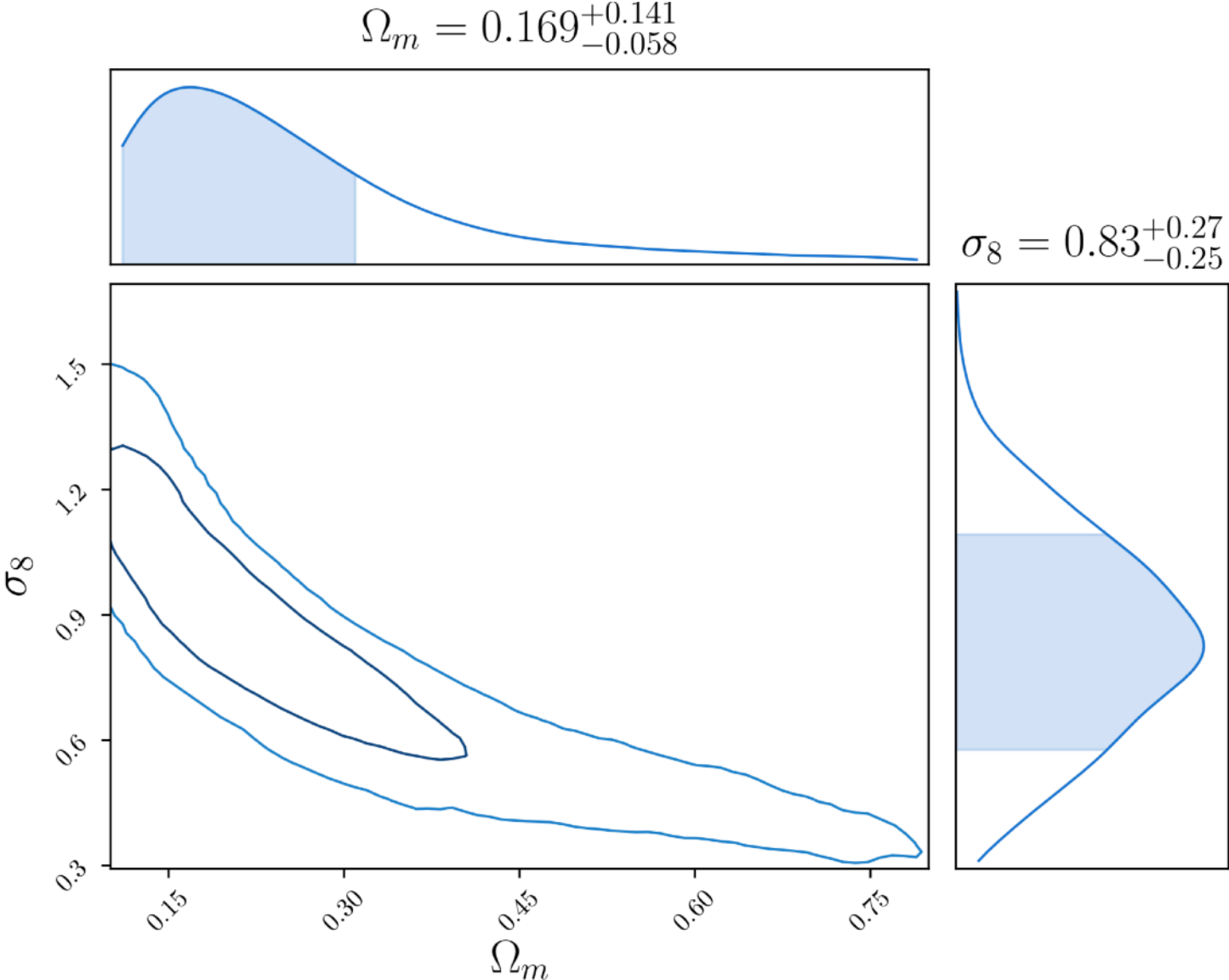
$$P(\theta | D, \mathcal{M})$$

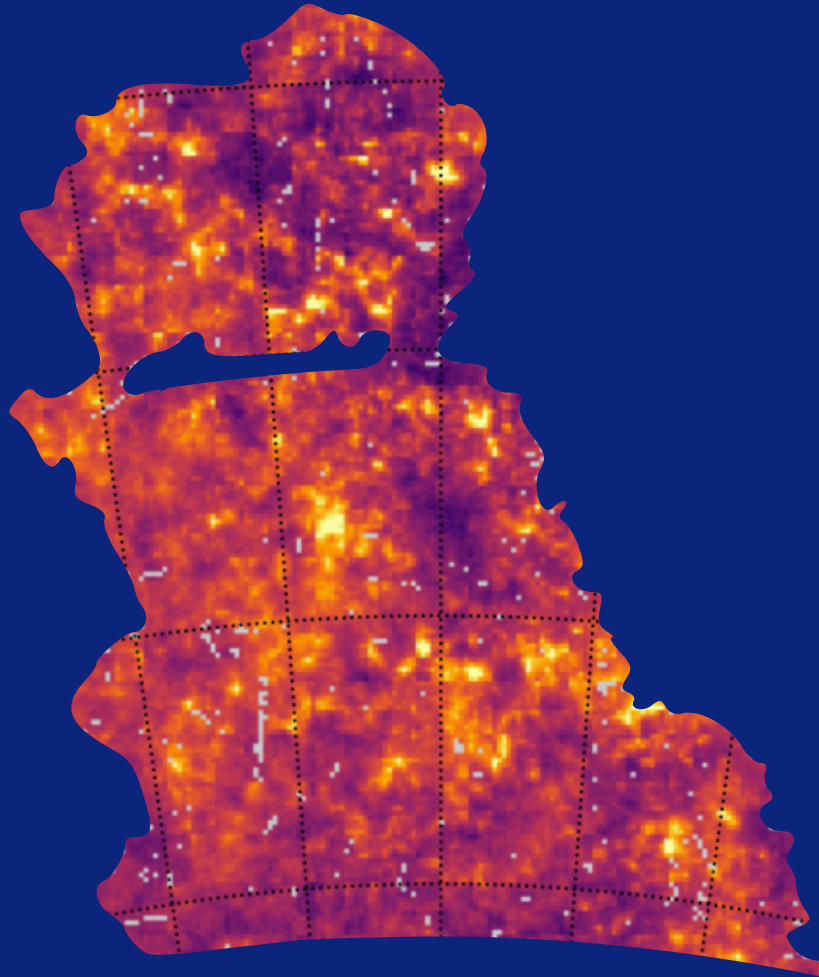
Forward modelled data

Few data-model assumptions

$$P(\theta | t = F(D), \mathcal{M})$$

DELFI (Alsing 1903.00007) estimated posterior Compressed [peak counts x power spectrum]





LPENS

LABORATOIRE DE PHYSIQUE
DE L'ÉCOLE NORMALE SUPÉRIEURE

Merci !

[arXiv:1908:00543](https://arxiv.org/abs/1908.00543)

github.com/NiallJeffrey/DeepMass



PSL
UNIVERSITÉ PARIS

