

The Montpellier model for Galactic subhalos

Martin Stref

Gamma-ray meeting
LAPTh
8 Juillet 2019



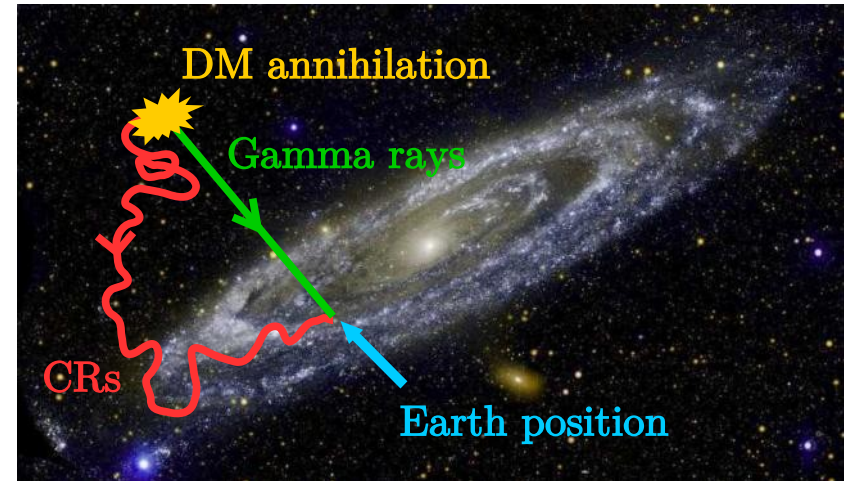
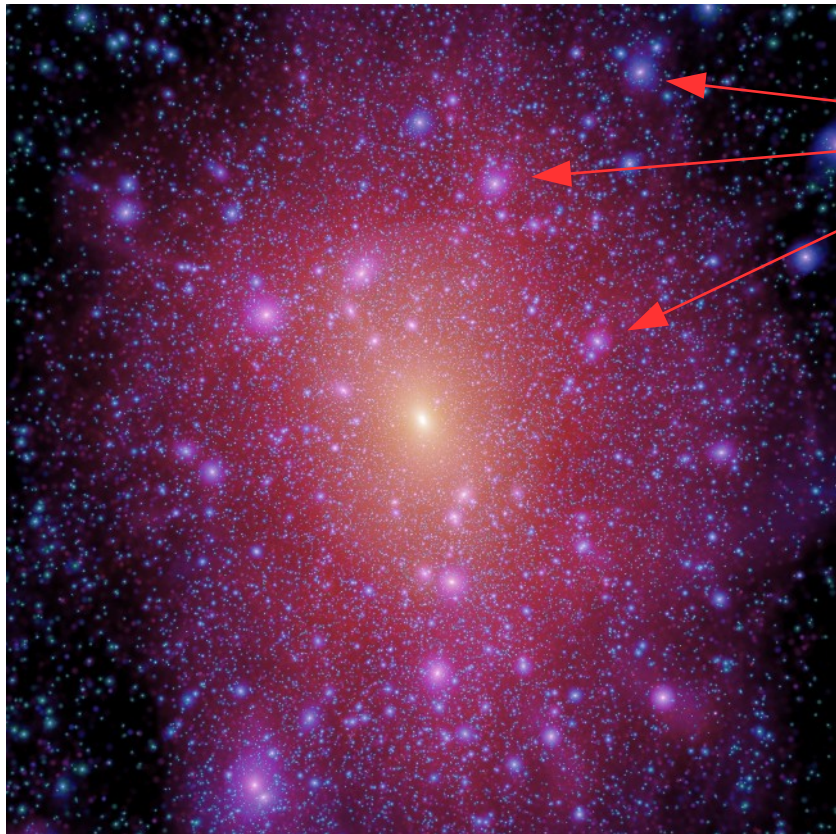
Indirect DM searches through gamma rays

Gamma-ray flux from annihilating DM:

$$\left. \frac{d\phi_\gamma}{dE d\Omega} \right|_{\text{los}} = \frac{\langle \sigma_{\text{ann}} v \rangle}{8\pi^2 m_\chi^2} \frac{dN_\gamma}{dE} \times \int_{\text{los}} ds \rho^2(\vec{r})$$

Highly sensitive to inhomogeneities

DM-only simulation Aquarius [Springel+ 08]



Lots of subhalos within a galactic halo!

Subhalos **boost** the expected annihilation flux
→ the smooth approximation induces a systematic error

To make a reliable prediction, we need to know:

- the subhalos mass function
- their spatial distribution
- their density/concentration

Numerical vs Analytical

Numerical approach

- Self-consistent modeling of gravity
- Solve the non-linear evolution
- High computing cost
- Limited mass resolution ($\sim 10^3 M_{\odot}$ at best)
- Not the Milky Way (although see Calore+ 2015)

Analytic approach

- Unlimited resolution
- Easy implementation of cosmology/particle physics constraints
- Dynamically constrainable
- Approximations needed beyond the linear regime

Numerical vs Analytical

Numerical approach

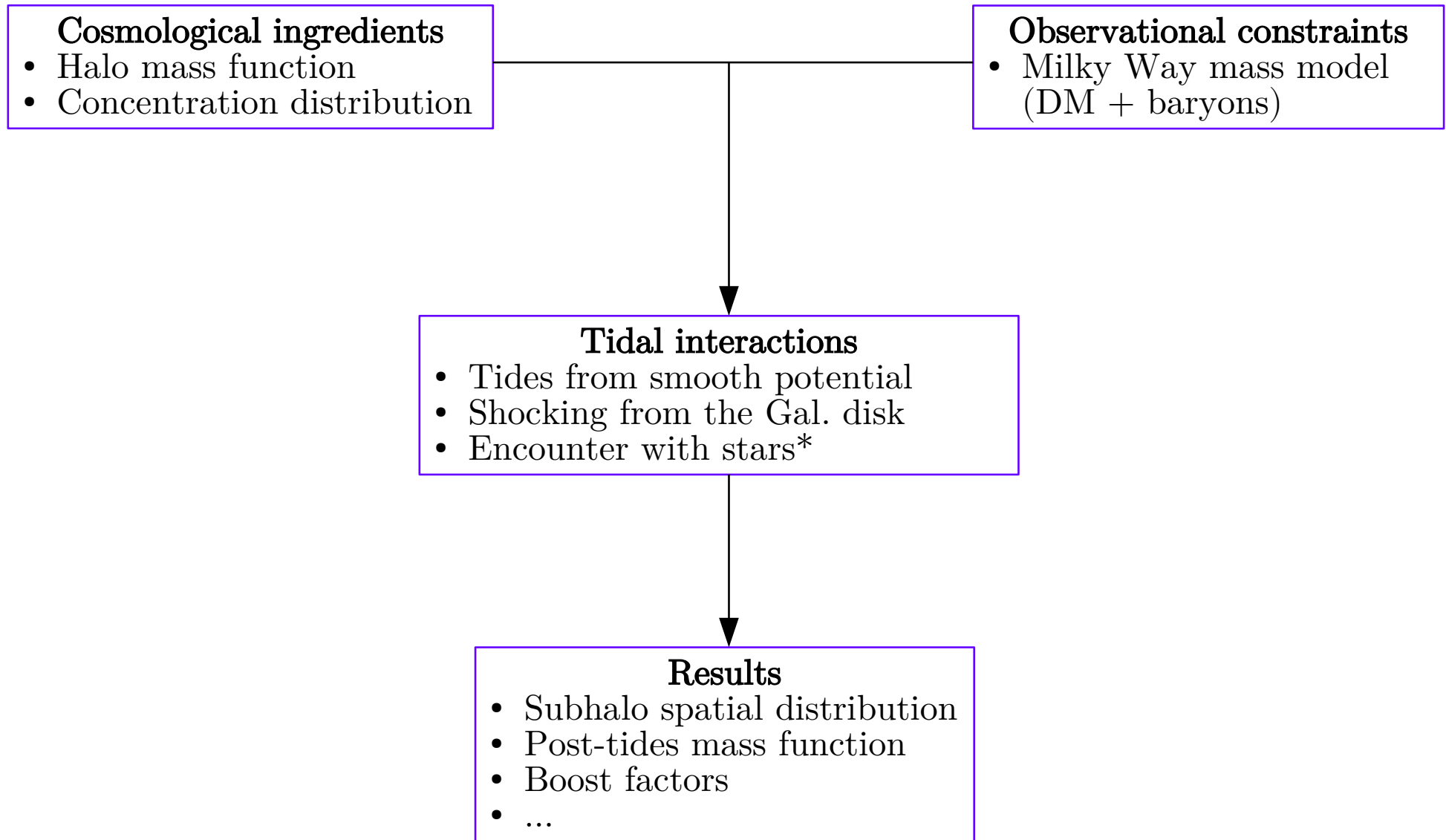
- Self-consistent modeling of gravity
- Solve the non-linear evolution
- High computing cost
- Limited mass resolution ($\sim 10^3 M_{\odot}$ at best)
- Not the Milky Way (although see Calore+ 2015)

Analytic approach

- Unlimited resolution
- Easy implementation of cosmology/particle physics constraints
- Dynamically constrainable
- Approximations needed beyond the linear regime

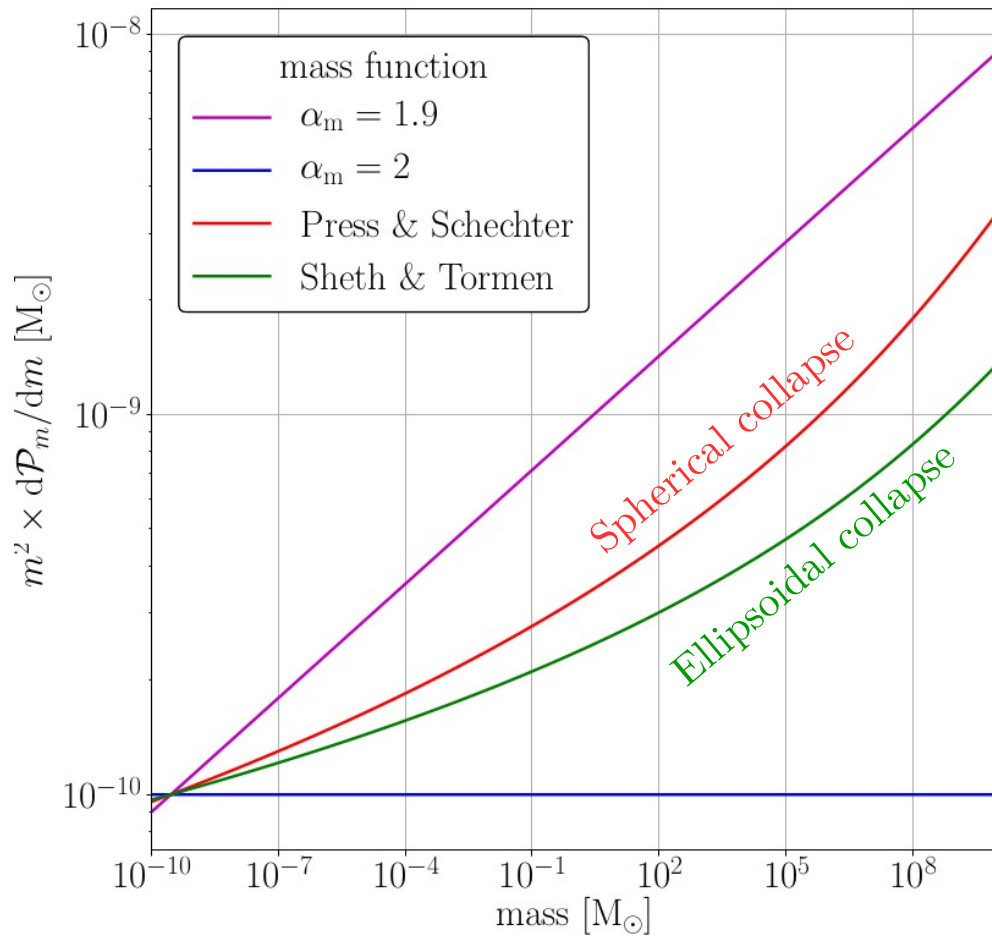
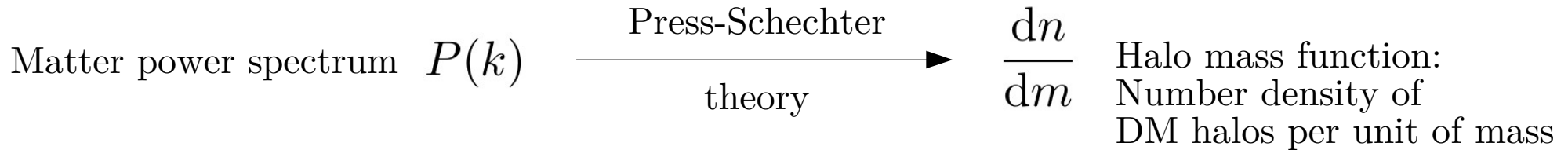
Our choice

Anatomy of the model

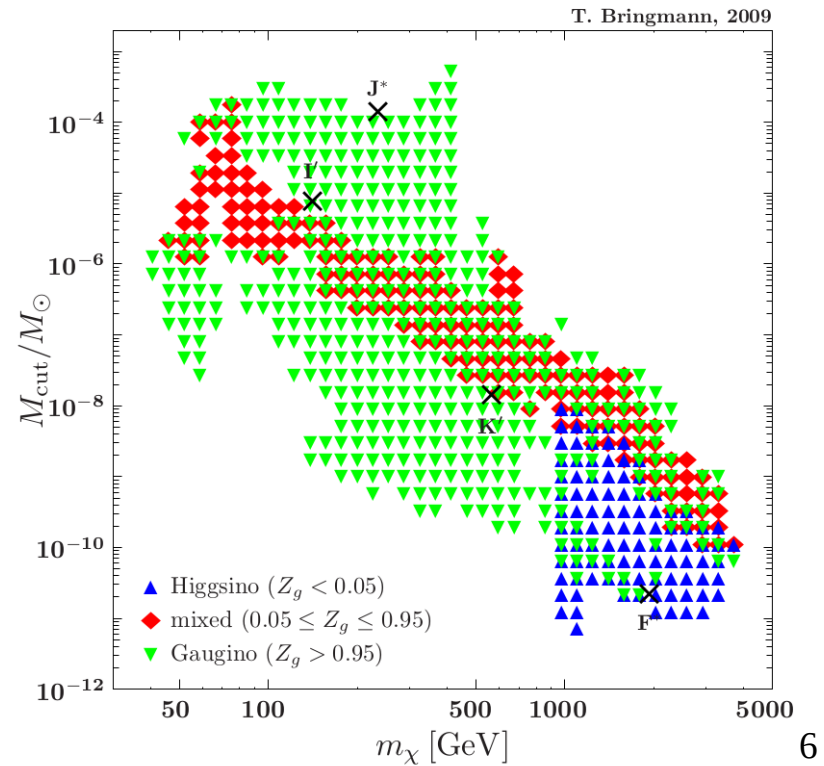


*work in progress

Cosmological ingredients: The halo mass function



+ mass cutoff from particle physics
(set by kinetic decoupling):



Cosmological ingredients: concentrations

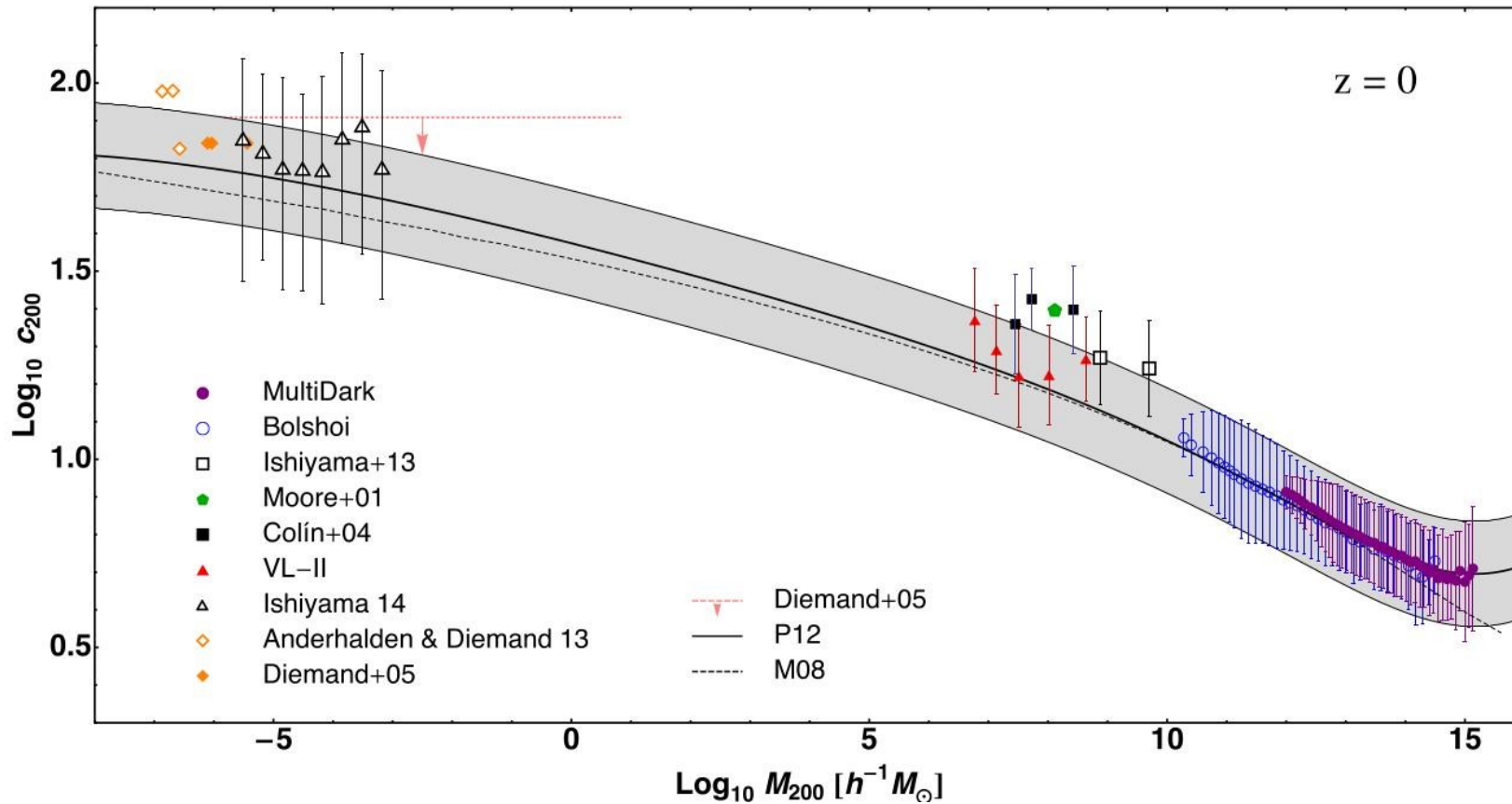
DM density profile:

$$\rho(r) = \rho_s \frac{r_s}{r} \frac{1}{(1 + r/r_s)^2}$$

Concentration parameter:

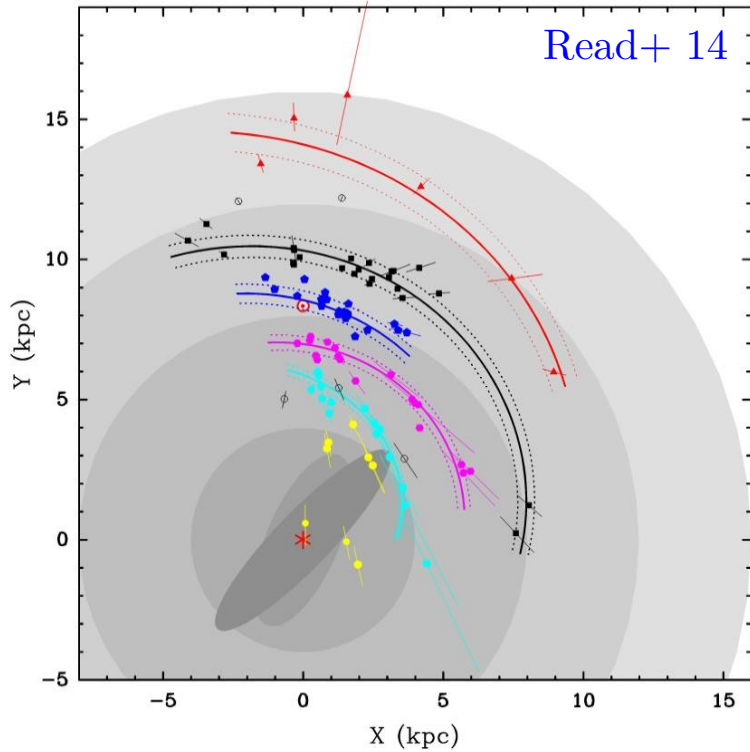
$$c_{200} \sim \frac{r_{200}}{r_s}$$

Sanchez-Conde & Prada 2014

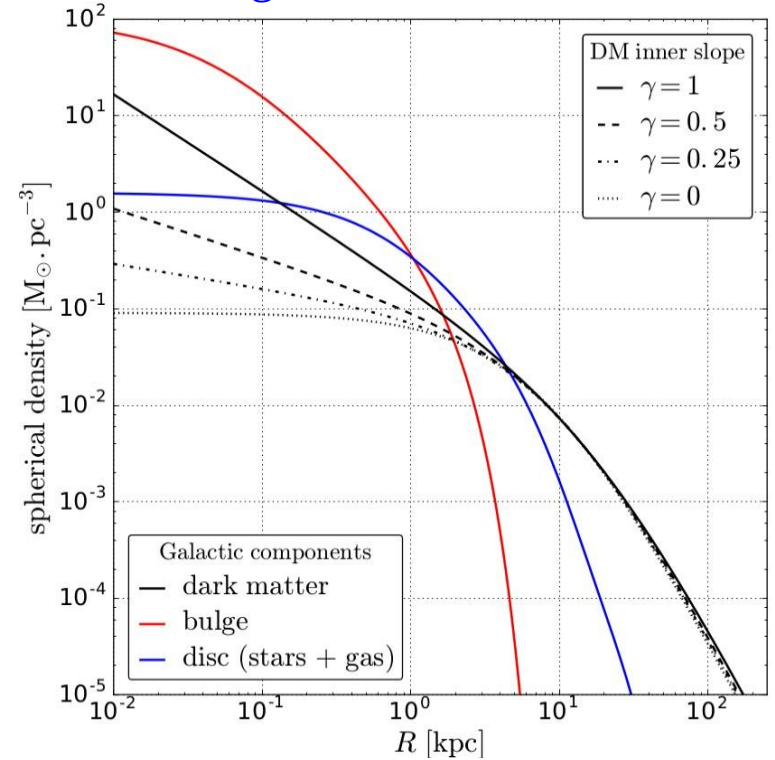


Observational constraints

Pre-Gaia data
[e.g. maser observations]



MW mass models
[e.g. McMillan 2017]



What we need:

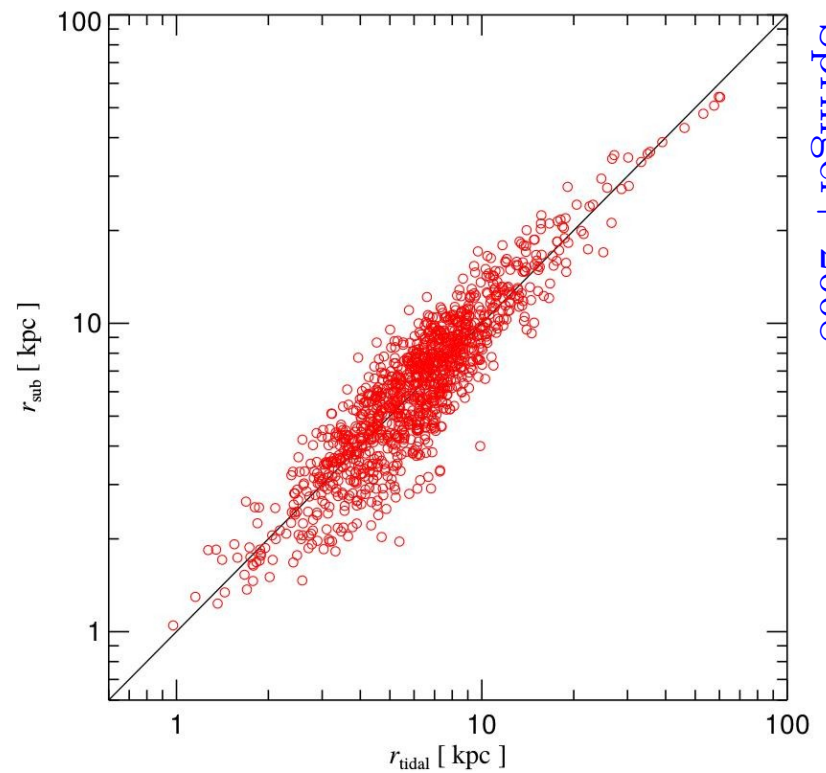
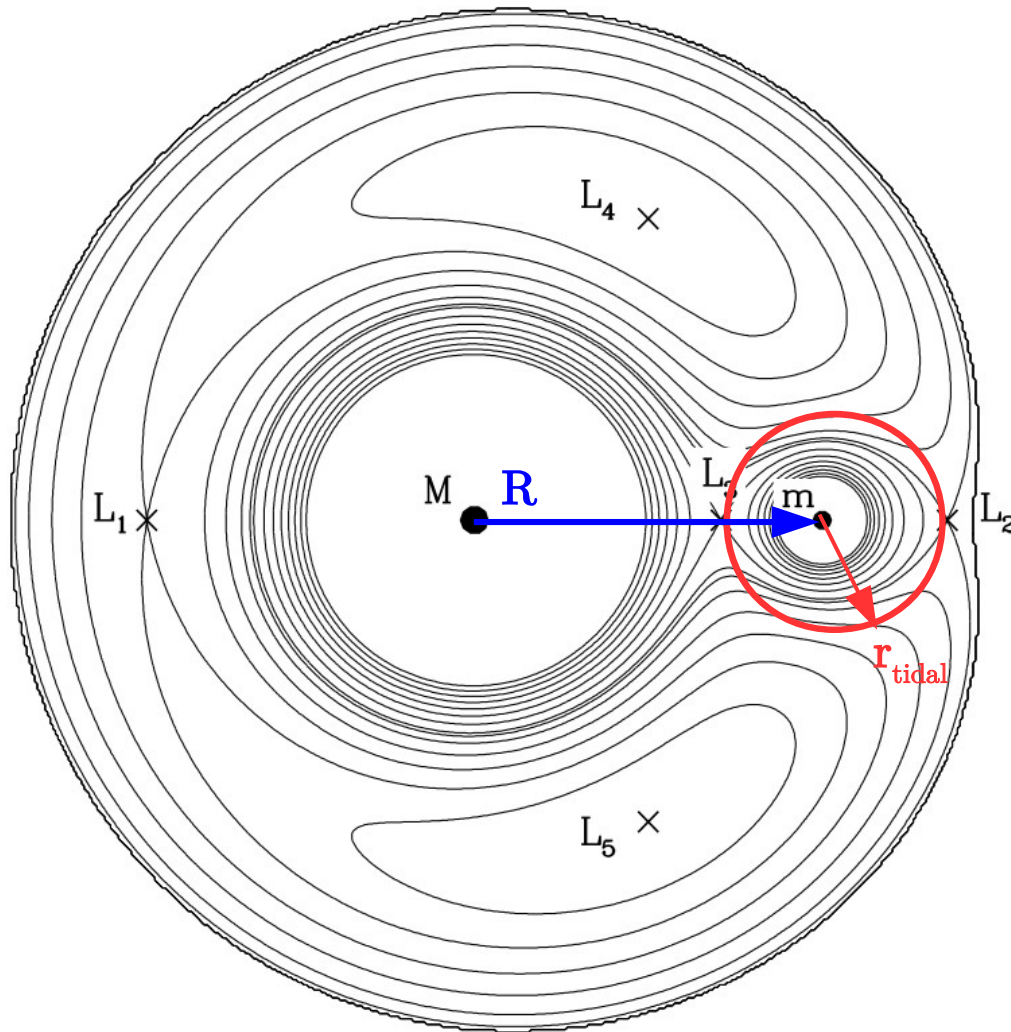
- DM mass budget —————> Total = smooth + clumps
- Total gravitational potential —————> Important for tidal interactions
- Potential of the disk —————> Important for tidal interactions

Tidal interactions: Effect of the smooth potential

$$r_{\text{tidal}} = R \left\{ \frac{m_{\text{int}}(r_{\text{tidal}})}{3 M(R) \left(1 - \frac{1}{3} \frac{d \ln M}{d \ln R}\right)} \right\}^{1/3}$$

Extension of a subhalo depends on:

- Its position in the Galaxy
- Its density profile

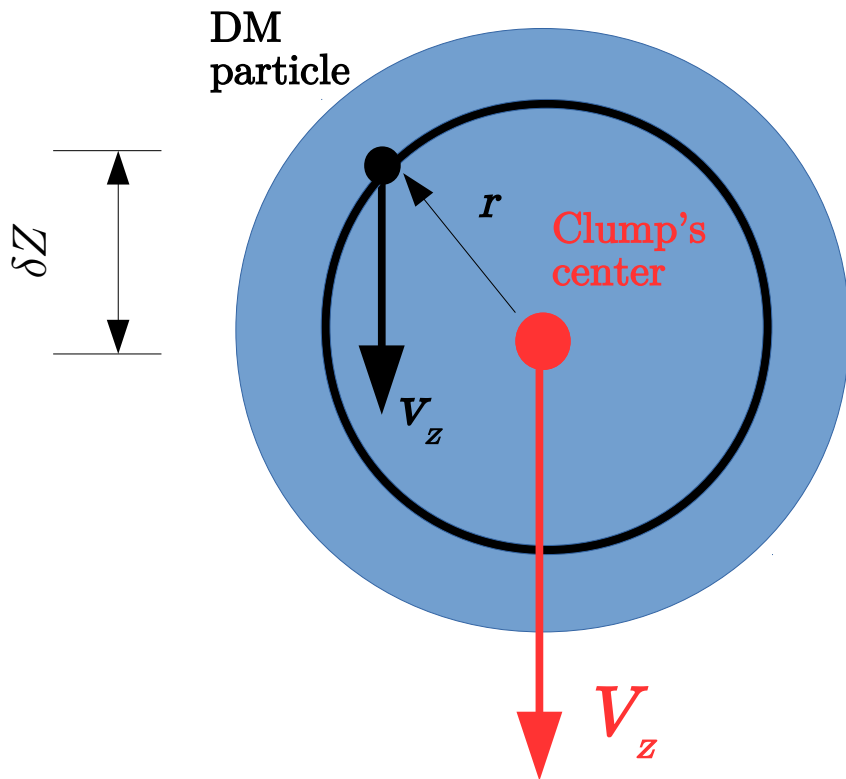


Binney & Tremaine

Springel + 2008

Tidal interactions: Effect of the Galactic disk

Subhalos experience **disk shocking** when they cross the stellar disk
[Ostriker+ 1972, Gnedin & Ostriker 1999]



$$\frac{dv_z}{dt} = g_z(Z_0 + \delta Z) - g_z(Z_0) \simeq \delta Z \frac{dg_z}{dz}$$

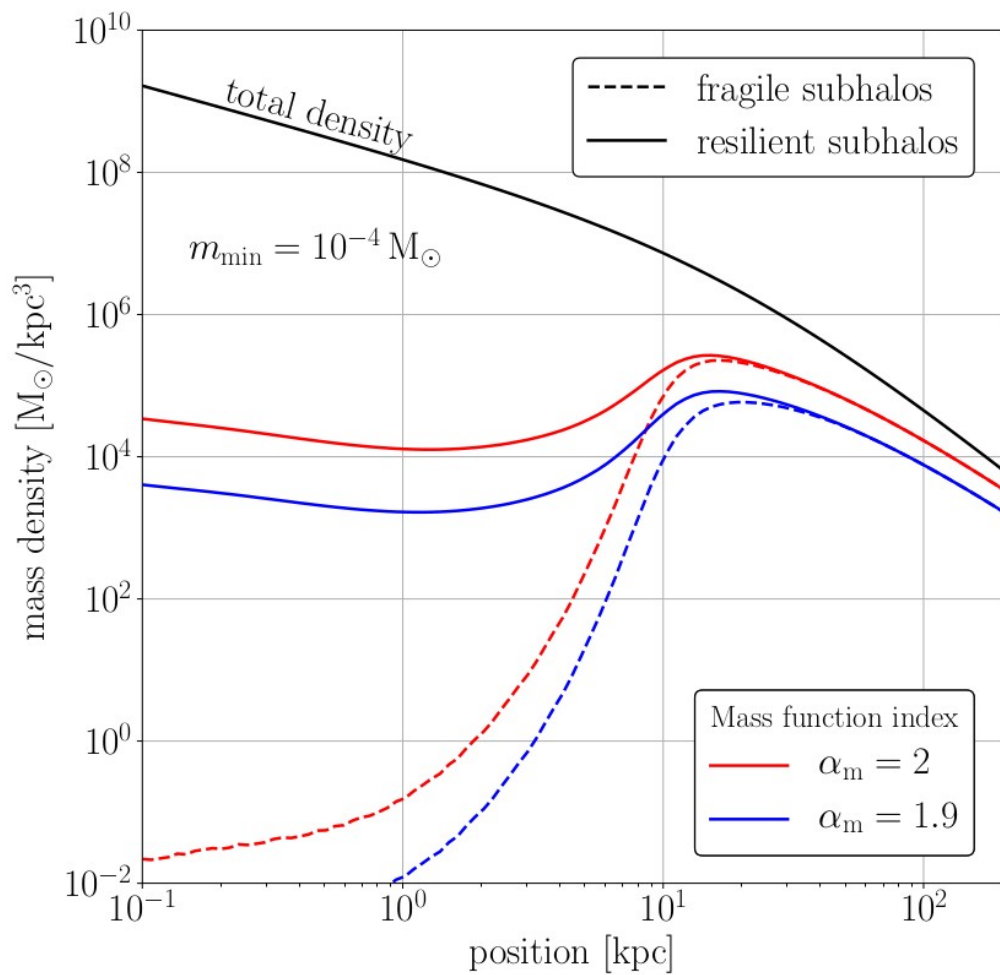
$$\Delta v_z = \int dt \frac{dv_z}{dt} = \frac{\delta Z}{V_z} 2 |g_z(z = 0)|$$

$$\frac{\delta E}{m_\chi} = \frac{1}{2} (\Delta v_z)^2 = \frac{2 g_z^2 r^2}{3 V_z^2}$$

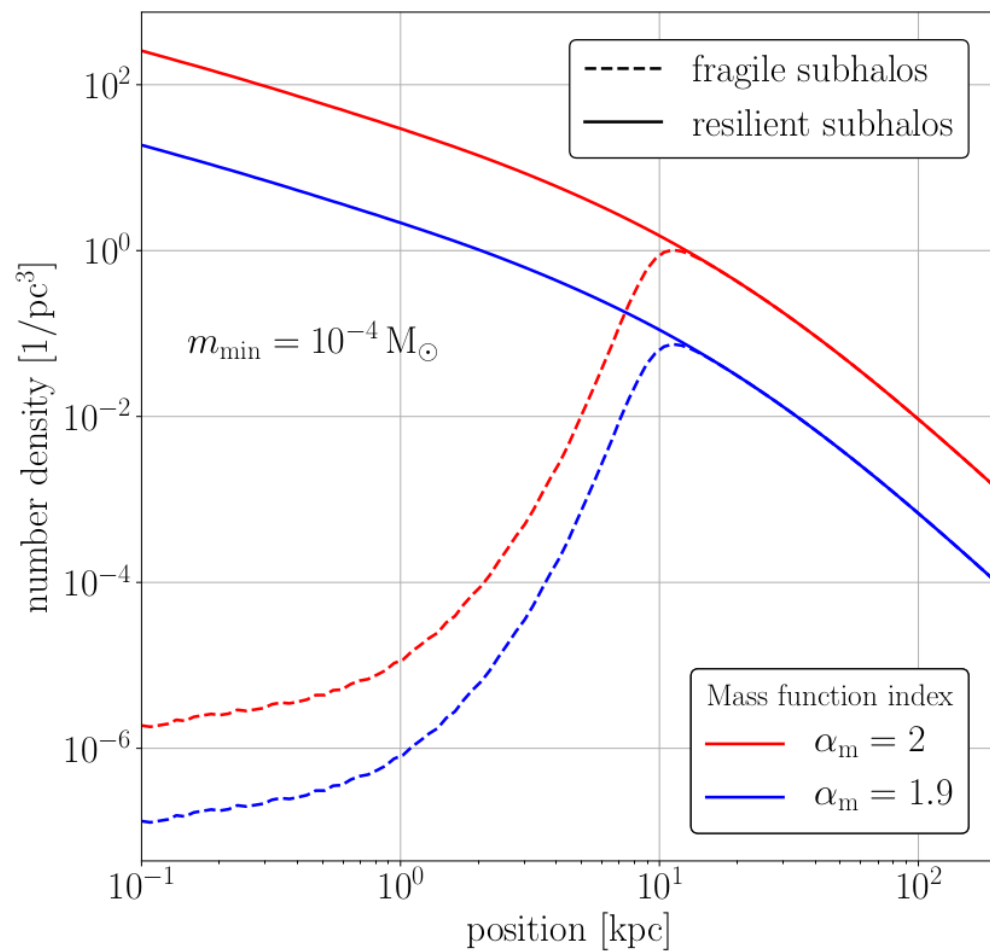
Stellar disk

Results: Milky Way subhalo population

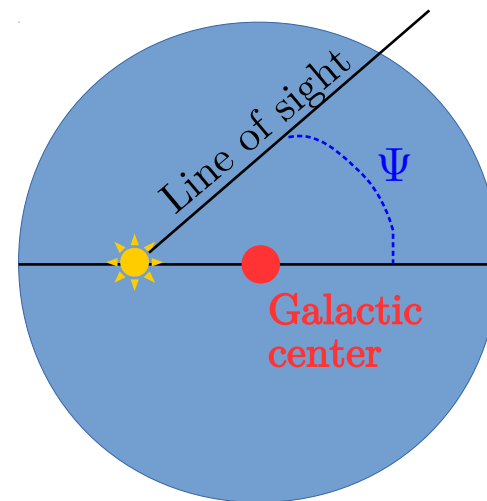
Mass density



Number density

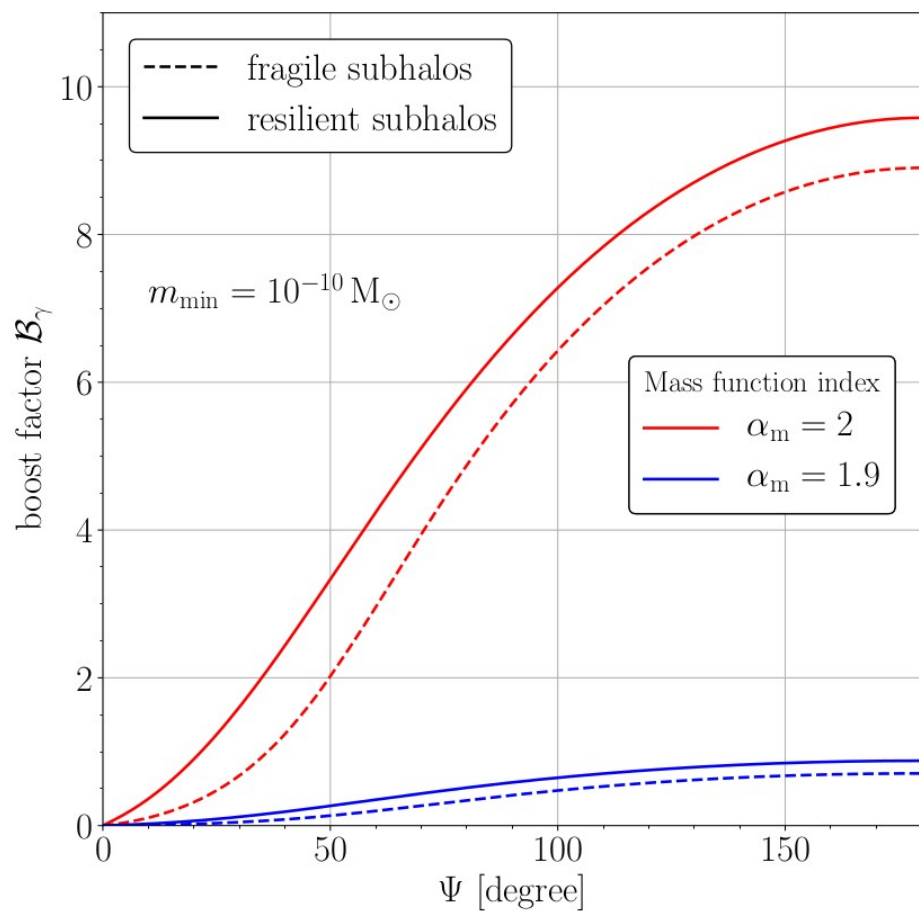
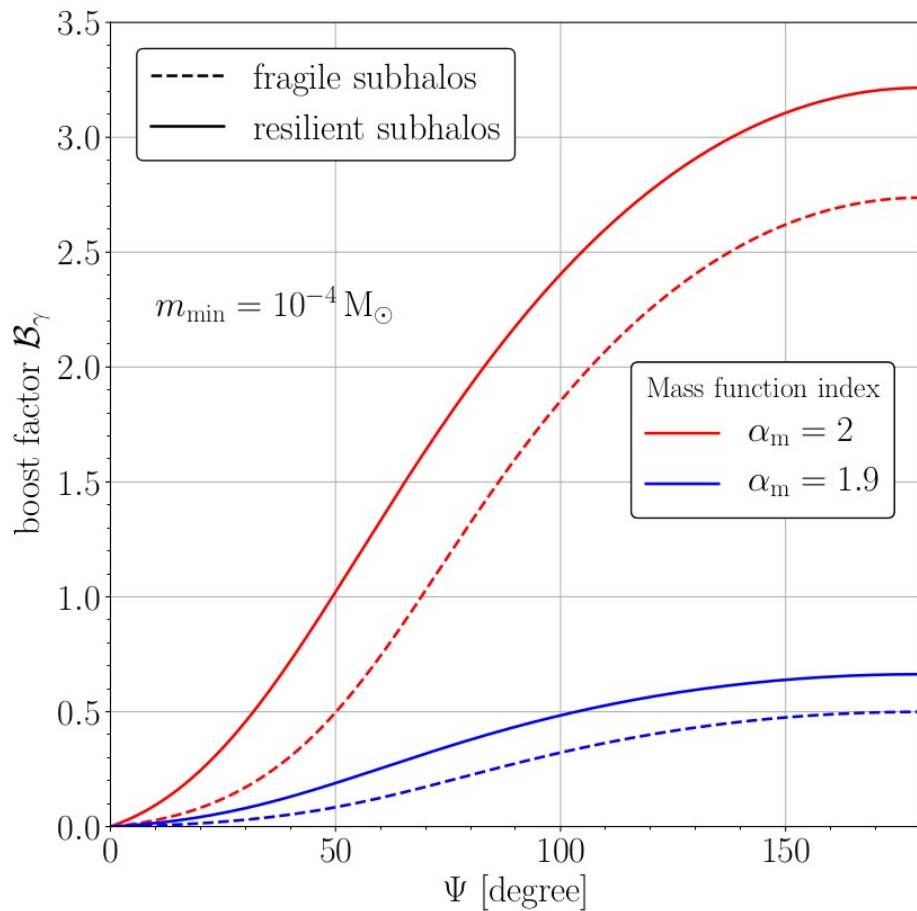


Results: gamma-ray boost factors



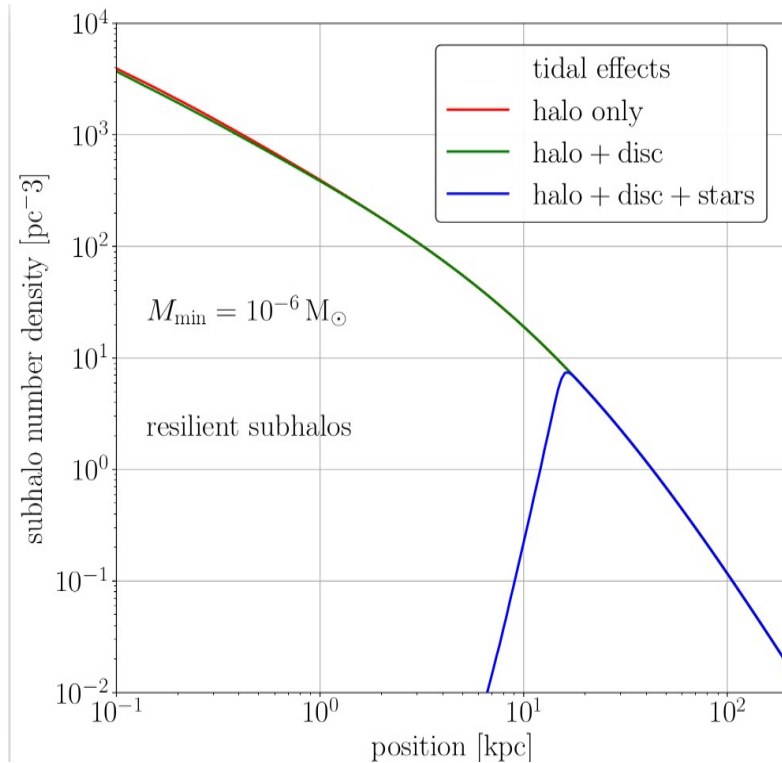
Boost factor definition

$$1 + \mathcal{B}_\gamma(\psi) = \frac{\phi_{\gamma, \text{clumpy}}(\psi)}{\phi_{\gamma, \text{smooth}}(\psi)}$$



Improvements in the near future

Tidal interactions with stars:



Preliminary results show stars are very efficient at destroying the smallest clumps!

Application beyond the Milky Way:

- Other galaxies
- Dwarf galaxies
- Galaxy clusters

Conclusions

Ongoing work:

- Constraints on annihilating DM from gamma-ray observations at high latitudes
- Detectability of individual subhalos (cf next talk)

