

Dark Matter searches in WLM dwarf galaxy

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OUTLINE

- ▲ Dark matter indirect detection
- ▲ Properties and theoretical aspects
- ▲ Observations & Data analysis
- ▲ Upper limits
- ▲ Conclusion

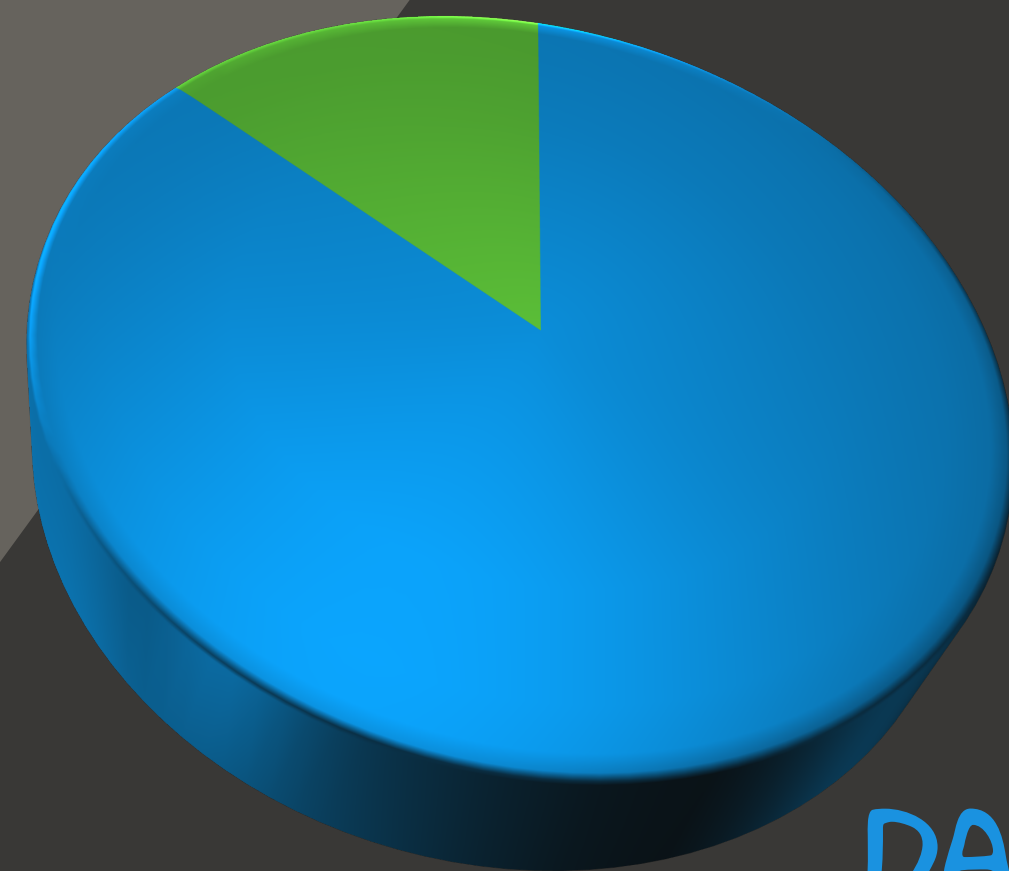


PART 1

Dark matter indirect detection

DARK MATTER

15%
VISIBLE MATTER



85%
DARK MATTER

OBSERVATIONAL EVIDENCE

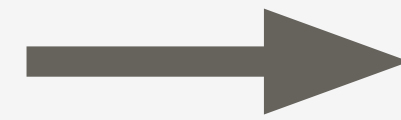
- Dynamics within the galaxies and clusters
- Gravitational lensing
- Cosmic Microwave Background anisotropies

WIMP (*Weakly Interacting Massive Particle*)

- Massive
- Neutral
- Stable

Indirect Detection

Annihilation of dark matter (DM) particles



**Particles of Standard Model
(bosons, quarks, leptons)**

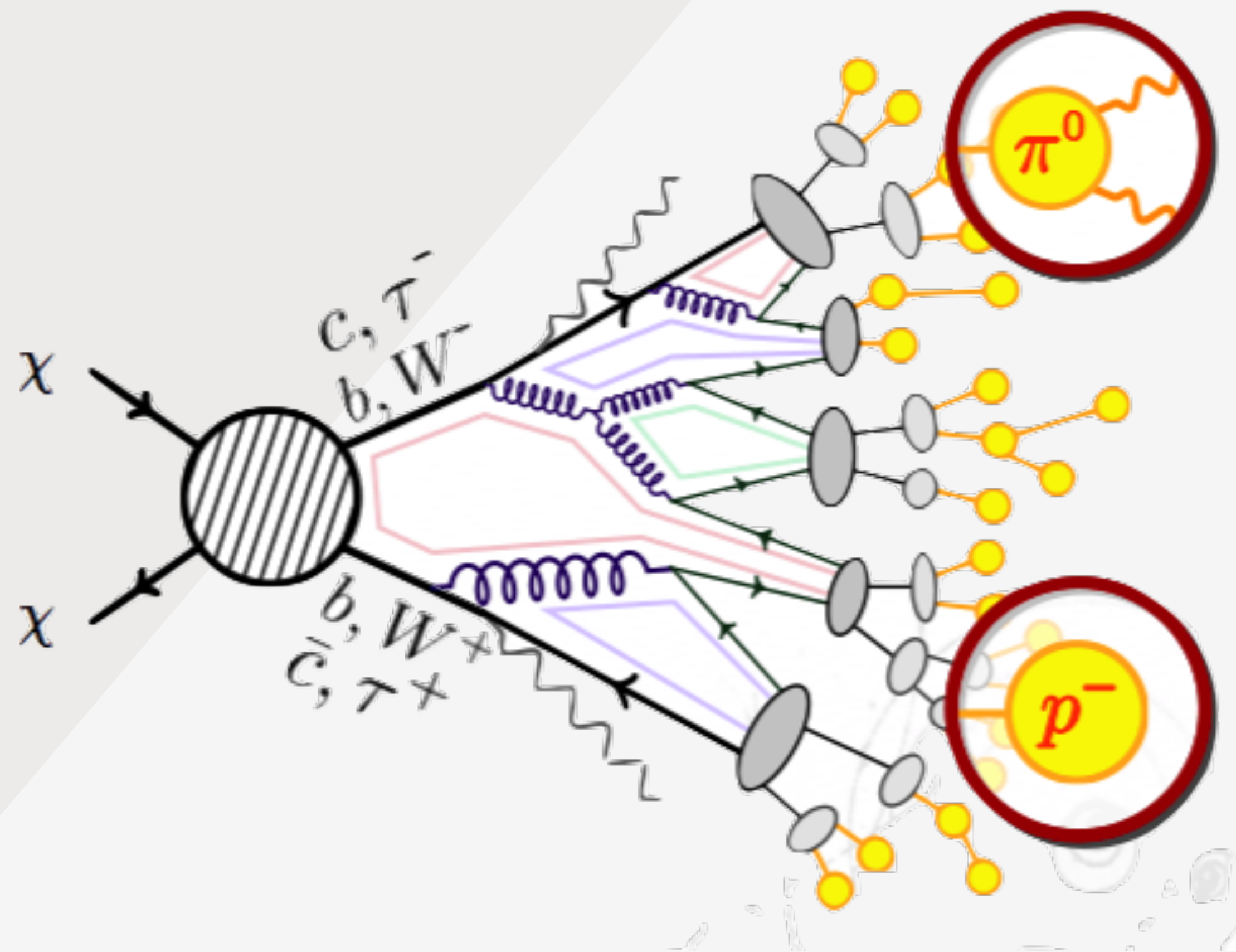


Indirect Detection

Annihilation of dark matter (DM) particles



Particles of Standard Model
(bosons, quarks, leptons)



Observable flux of particles

- Positrons/electrons
- Neutrinos
- Antiprotons, antideuteriums
- **γ rays**

γ rays



- **High** energies (\sim GeV-TeV)
- **Neutral** particles
- Not **deflected** by the magnetic field of the Galaxy
- **Slight attenuation only** at Galaxy scale

→ **Localization** of their origin

γ -ray flux

γ -ray flux DM = Normalisation x Spectrum x Morphology
(E, θ)

γ -ray flux

J factor

DM density squared
integrated over the
line-of-sight and the
solid angle

$$\gamma\text{-ray flux DM} = \text{Normalisation} \times \text{Spectrum} \times \text{Morphology}$$

(E, θ)

γ -ray flux

J factor

DM density squared
integrated over the
line-of-sight and the
solid angle

$$\gamma\text{-ray flux DM} = \text{Normalisation} \times \text{Spectrum} \times \text{Morphology}$$

(E, θ)

Number of γ per annihilation and per energy range
for a given DM mass m_χ

γ -ray flux

Contains the **DM annihilation cross-section** $\langle\sigma v\rangle$ and the **DM mass** m_χ

J factor
DM density squared
integrated over the
line-of-sight and the
solid angle

$$\gamma\text{-ray flux DM} = \text{Normalisation} \times \text{Spectrum} \times \text{Morphology}$$

(E, θ)

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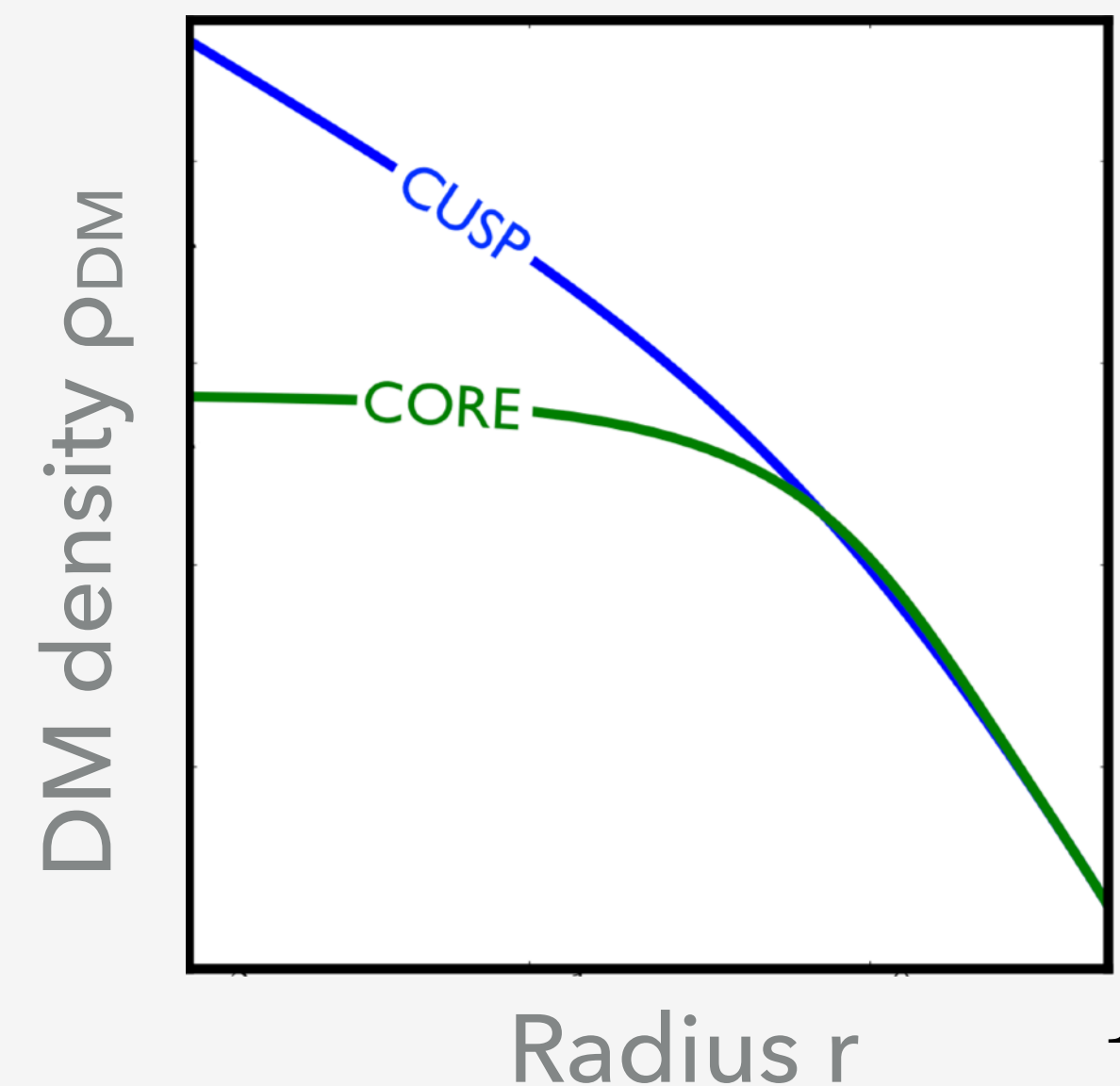
PART 2

Properties and theoretical aspects

Dwarf irregular galaxies

Properties of the dwarf irregular galaxies (dIrrs)

- **Rotation** supported & **simple** kinematics
- **DM dominated** - $J \sim 10^{16} - 10^{17} \text{ GeV}^2 \cdot \text{cm}^{-5}$
- **Extended** sources: $0.3^\circ < \theta_{\text{halo}} < 6^\circ$
- Tend to follow a **cored profile**
- **Star-forming regions** below 0.1°
negligible signal for HESS



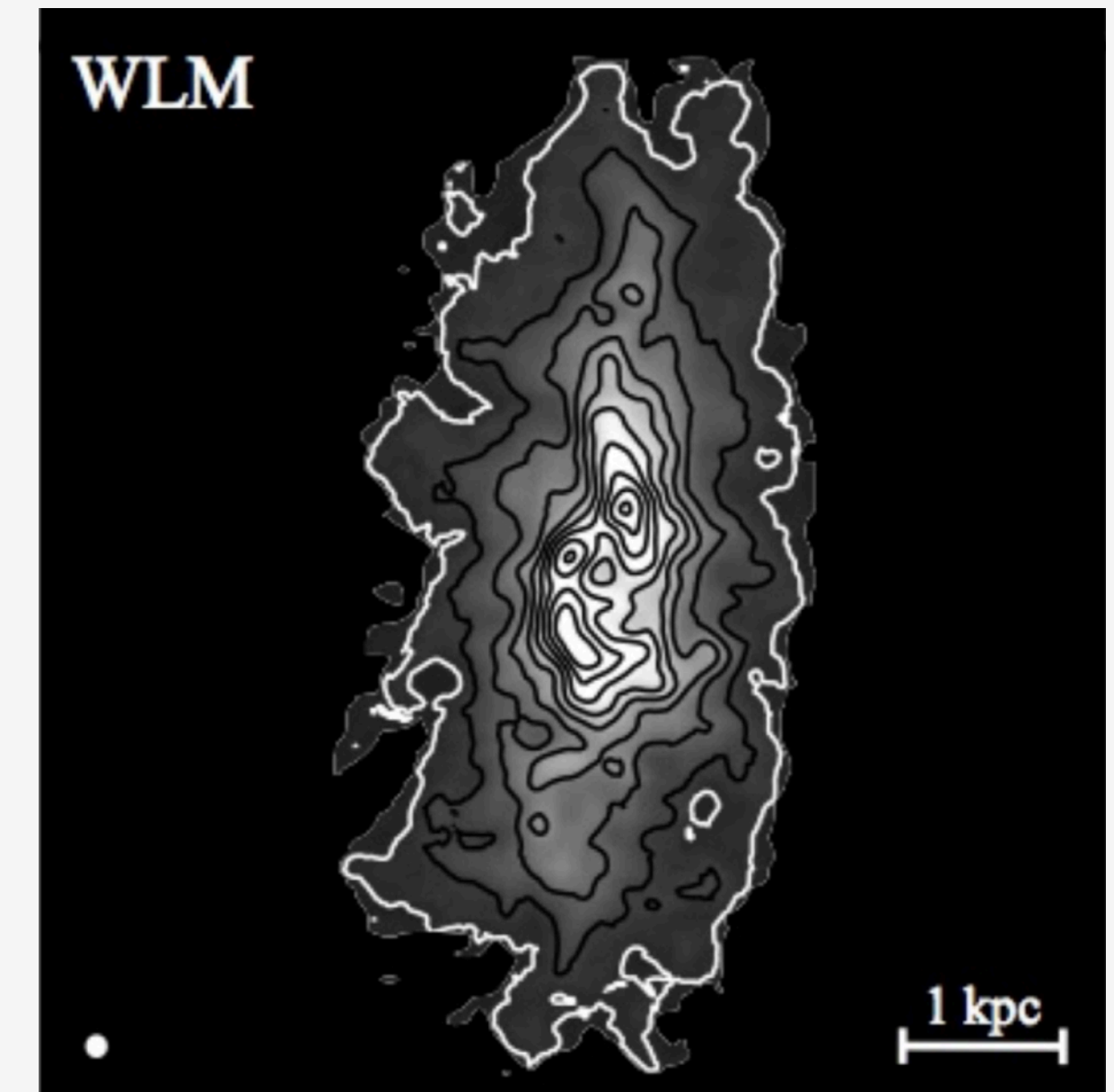
WLM dwarf galaxy

Properties of WLM

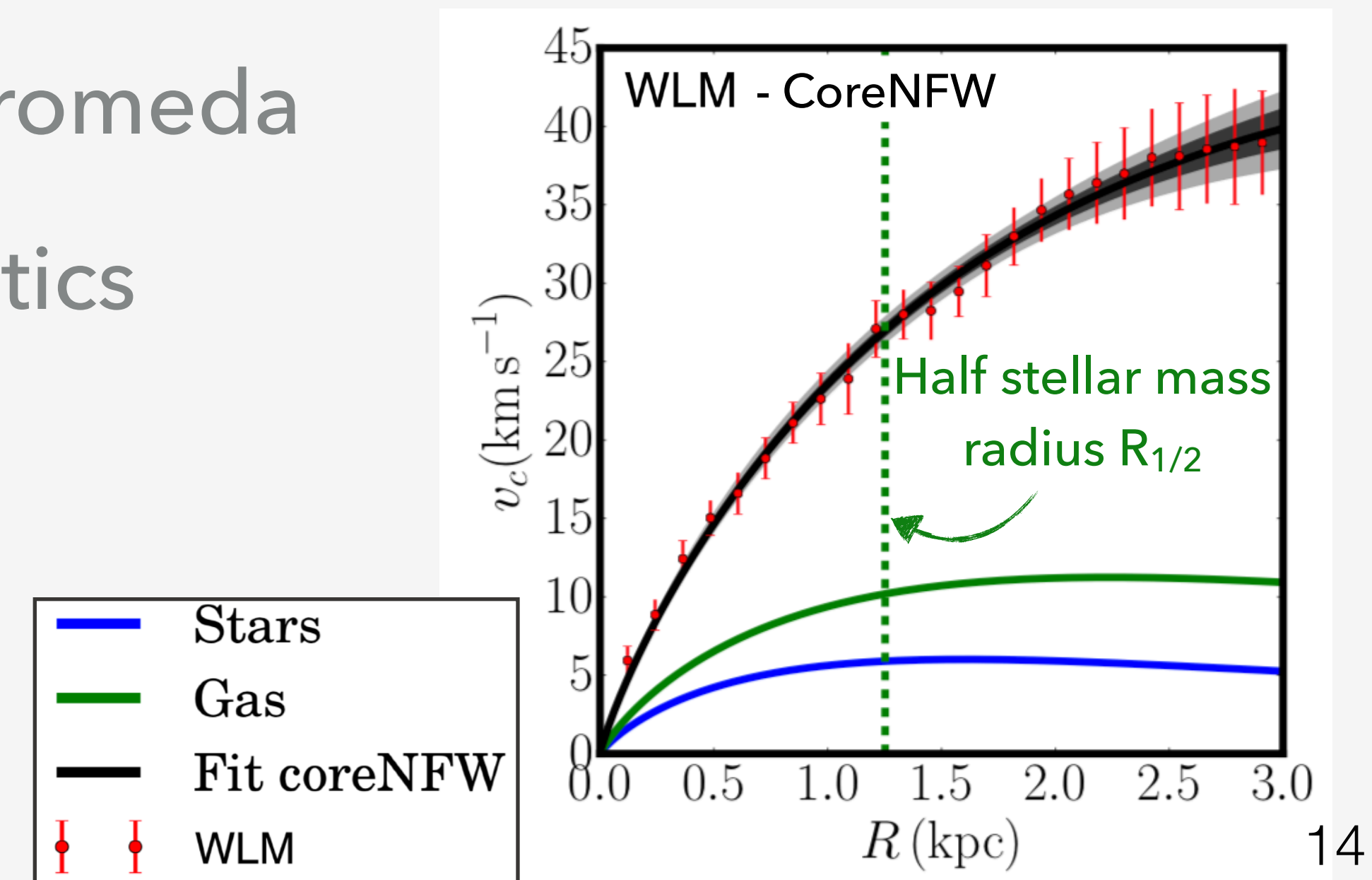
- **First** irregular dwarf **observed** by HESS and an IACT experiment
- **Isolated** source
- Located at ~ 1 Mpc from the Milky Way and Andromeda
- **Excellent** HI data, photometry and stellar kinematics
- **Smooth** rotation curve
- Use of a new profile: **CoreNFW**

Ref: Read et al., 2016
MNRAS, Vol. 462, Issue 4, 11
Nov 2016

Smooth HI distribution



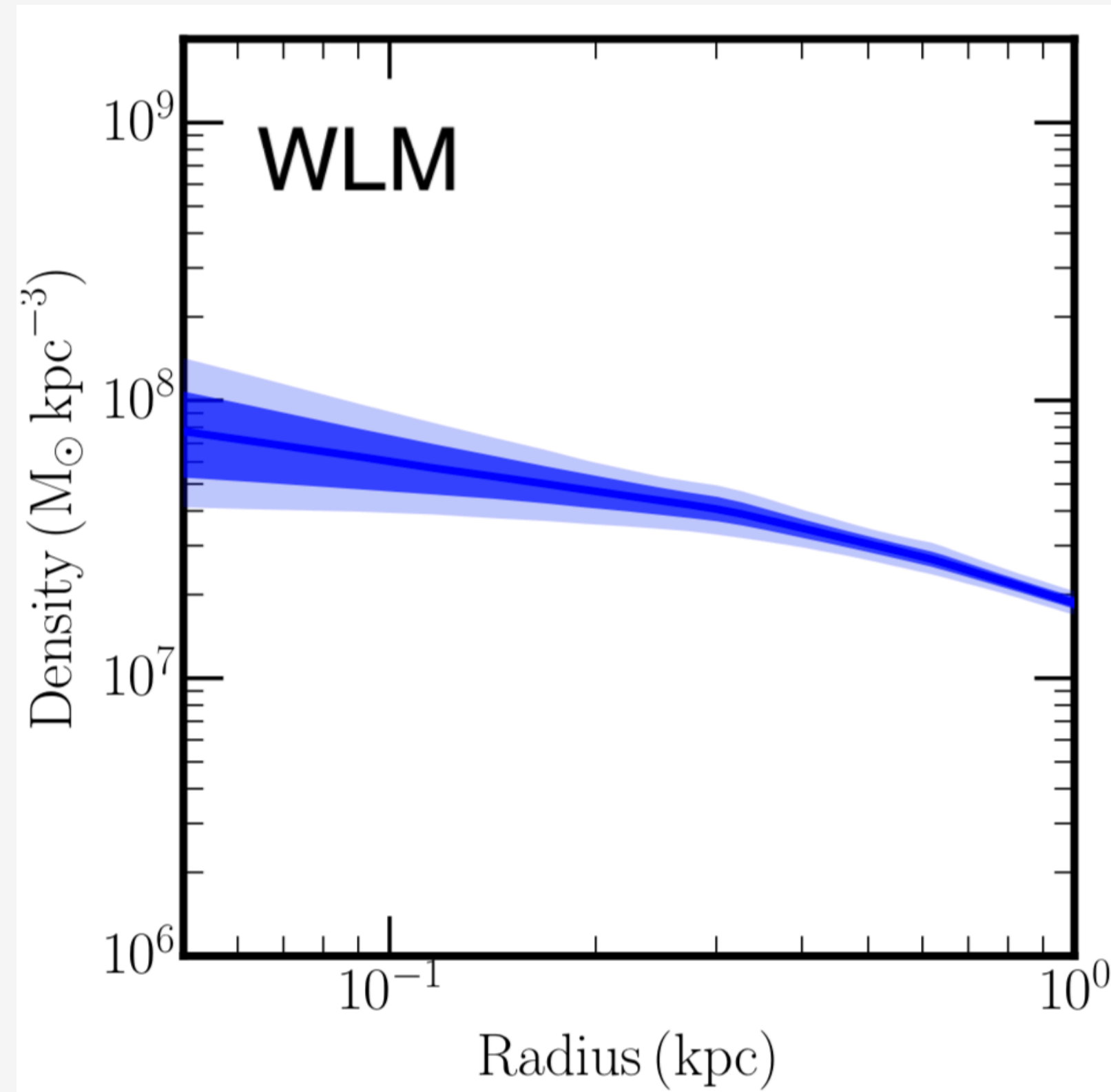
Smooth rotation curve



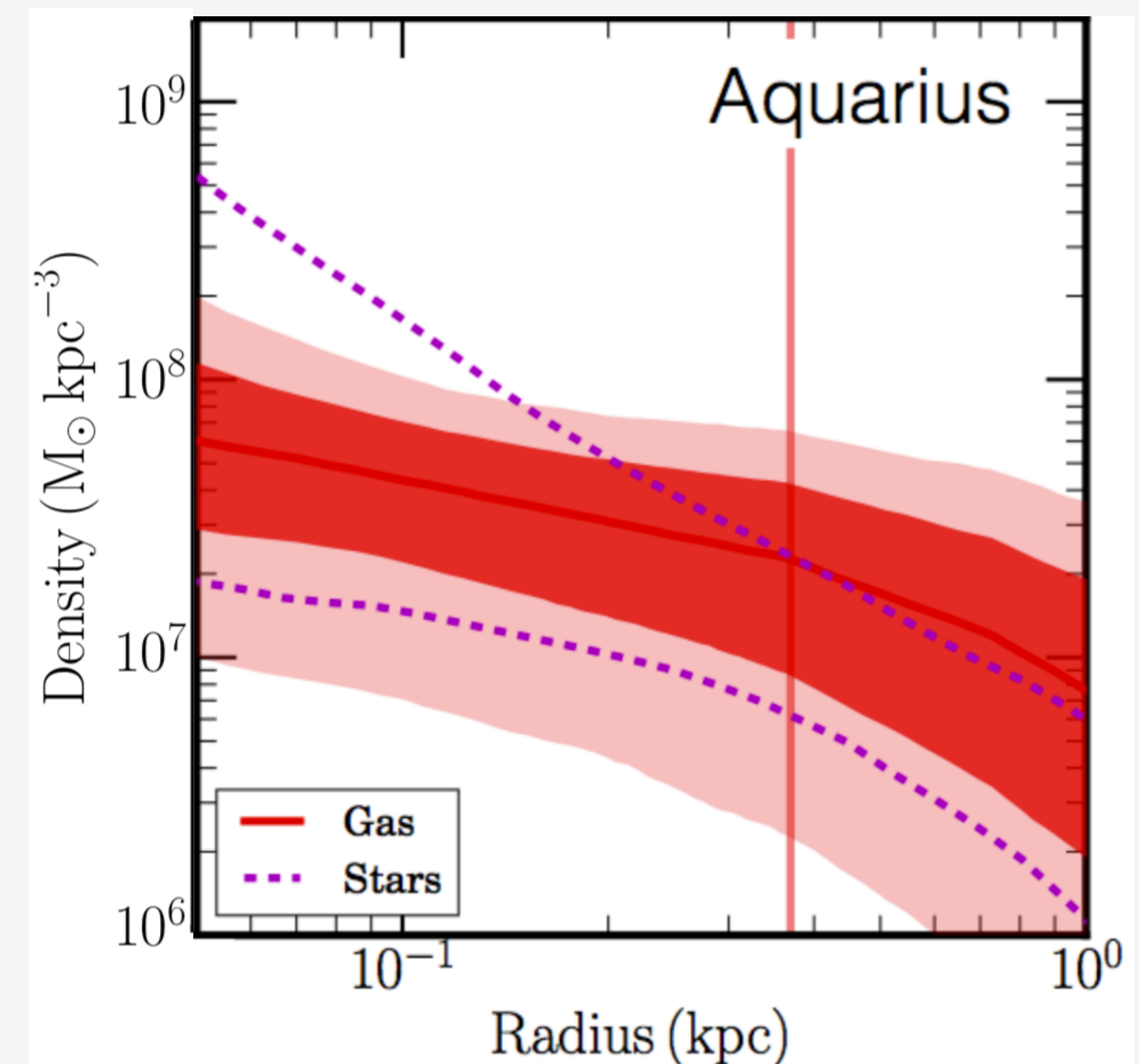
A new DM Profile: CoreNFW

Ref: Read et al., 2018
MNRAS, Vol. 484, Issue 1,
Mar 2019

CoreNFW - Takes into **account the history of the star formation** within the galaxy



VS



Mass profile
very well constrained
by the rotation curve



Very small uncertainties
on the DM profile

Mass profile
less constrained
by the rotation curve



Larger uncertainties
on the DM profile

A new DM Profile: CoreNFW

Ref: Read et al., 2018
MNRAS, Vol. 484, Issue 1,
Mar 2019

$$\rho_{\text{coreNFW}}(r) = f^n \rho_{\text{NFW}} + \frac{f^{n-1}(1-f^2)}{4\pi r^2 r_c} M_{\text{NFW}}$$

DM component

$\rho_{\text{NFW}} = f(c_{200}, M_{200})$ NFW dark matter density profile

$M_{\text{NFW}}(< r) = g(c_{200}, M_{200})$ NFW dark matter cumulative mass profile

**Concentration
parameter**

Virial mass

3 parameters

A new DM Profile: CoreNFW

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**Concentration
parameter**

Virial mass

Stellar component

$f^n = \left[\tanh\left(\frac{r}{r_c}\right) \right]^n$ generates a shallower density profile
in the core of the galaxy

$r_c = \eta R_{1/2}$ core radius proportional to the half stellar mass radius

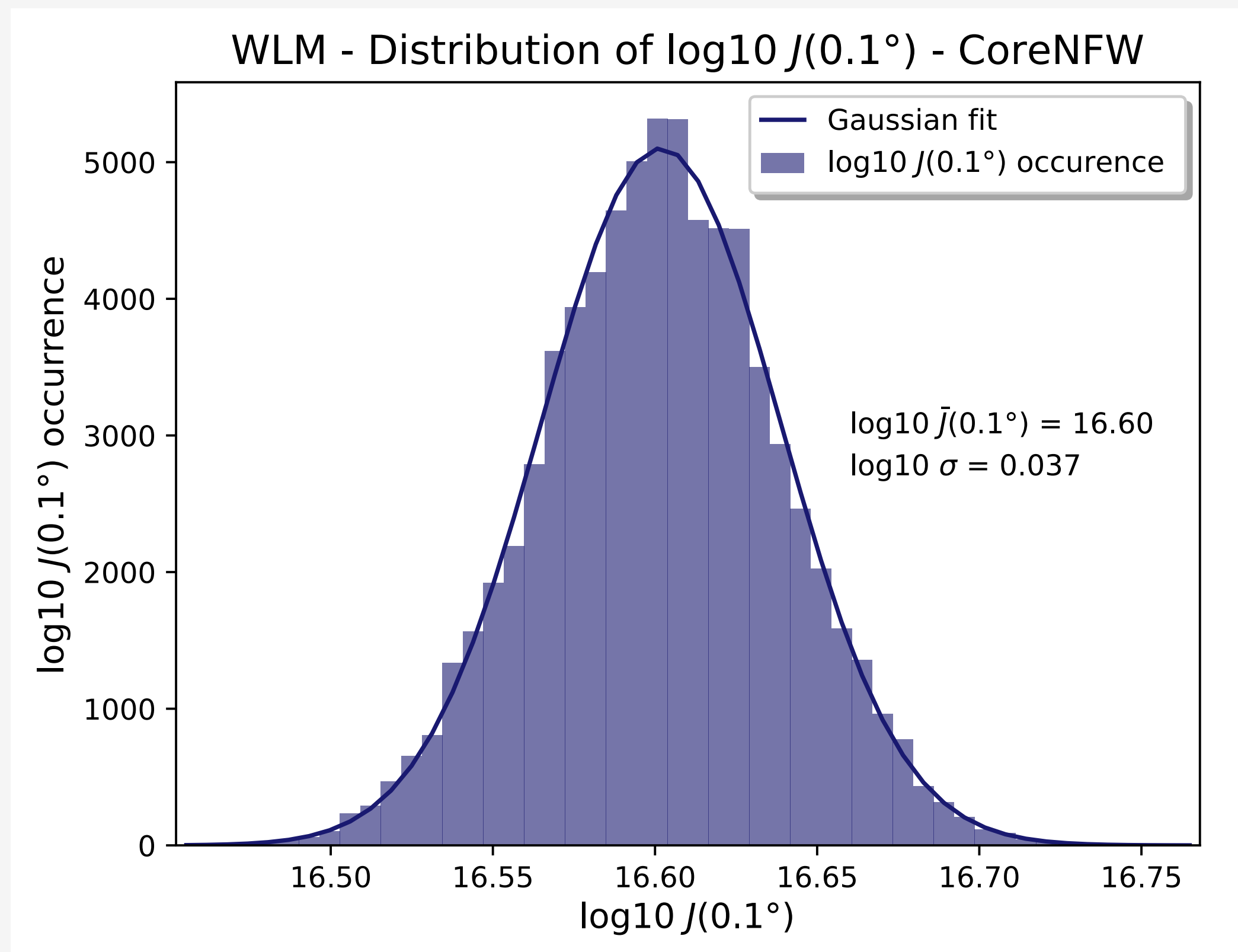
Coefficient

3 parameters

J Factor & uncertainties

J factor - Defines the **amount of dark matter annihilations** in a source

Histogram of J values



Very small uncertainties on J
 $\log_{10} J(0.1^\circ) = \mathbf{16.6 \pm 0.037}$

VS

Literature

$\log_{10} J(0.1^\circ) = \mathbf{16.63 \pm 0.6}$

Ref: Gammaldi et al, Phys. Rev. D 98, 083008

- Dataset (η , c_{200} , M_{200}) provided by Justin **Read**
- **Fit of the distribution**



PART 3

Observations and data analysis

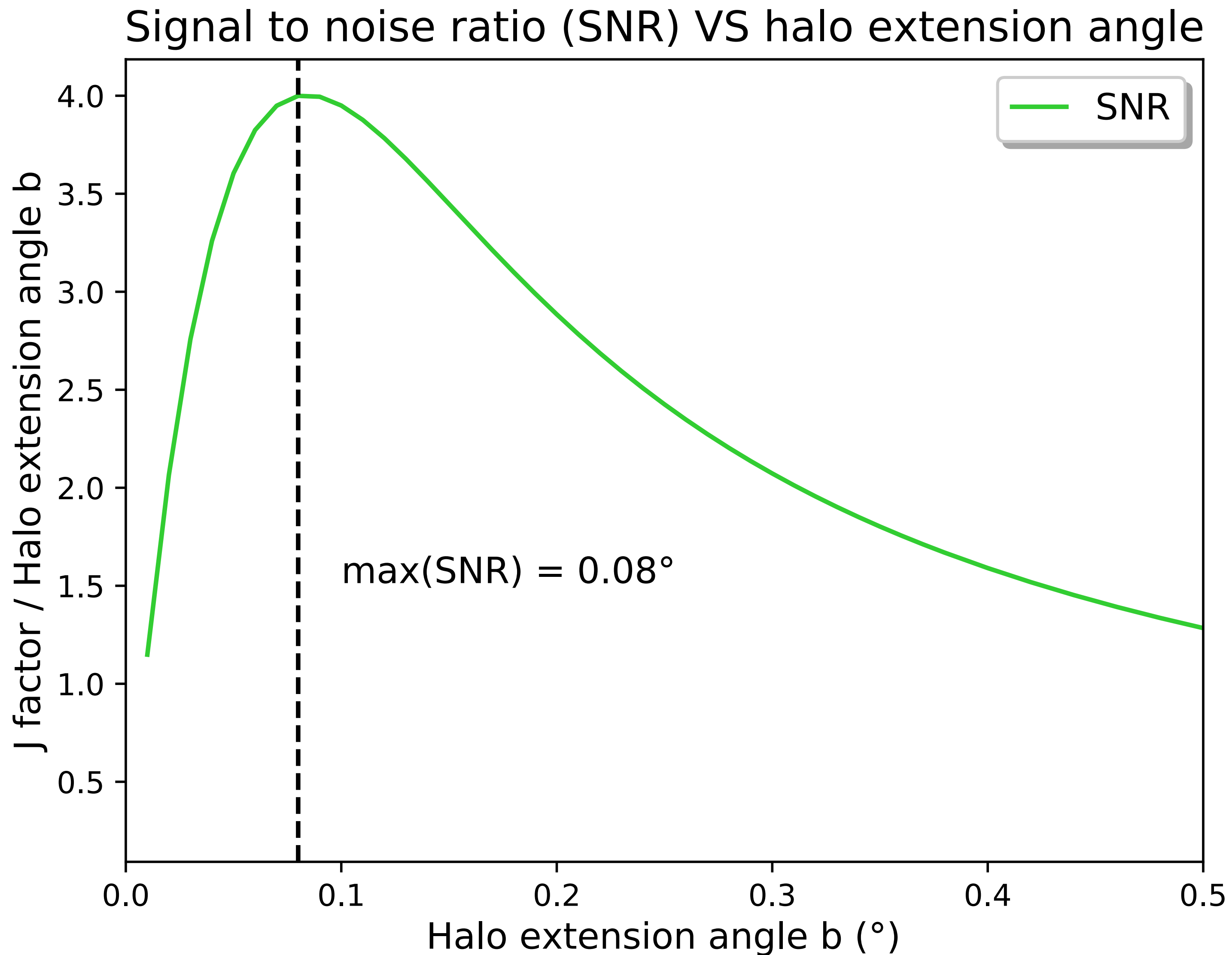
The H.E.S.S. experiment

Array of 5 Cherenkov telescopes

- Located in **Namibia**
- Taking data since **2004**
- Detection of γ rays **~ 100 GeV à ~ 100 TeV**



Signal to Noise Ratio (SNR)



WLM as an **extended**
or
a **point-like** source?

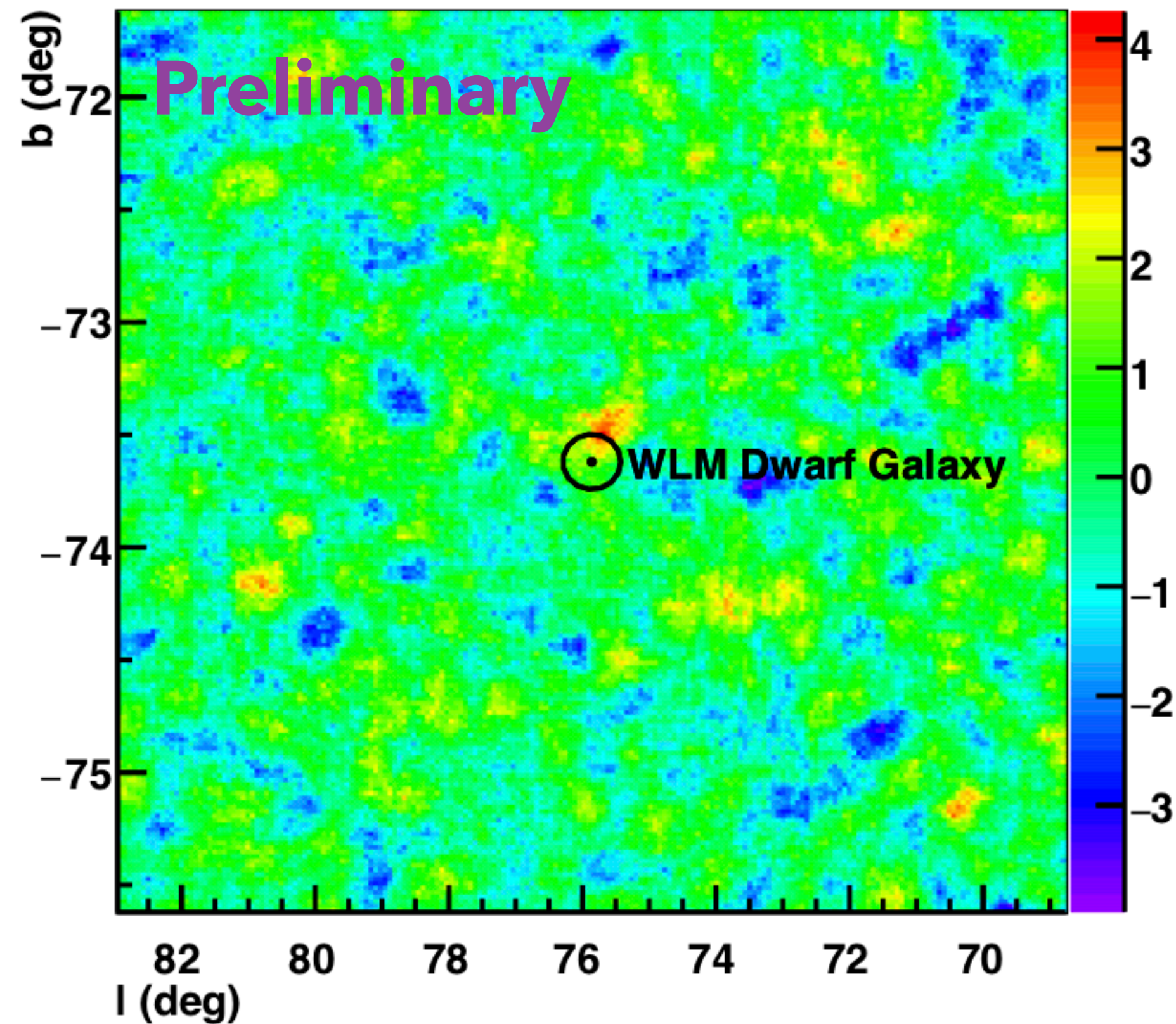
Max(SNR) < 0.1°



WLM treated as a
point-like source

Observation & Data Analysis

Significance Map



- **WLM** - Gal. coord. $l = 75.86^\circ$, $b = -73.62^\circ$
- Observations from **October to December, 2018**
- **~ 18** hours
- **No significant excess** in the FoV

Likelihood method and Test Statistic

Poisson likelihood for each energy bin:

$$\mathcal{L}_i^P = \frac{(N_{S_i} + N_{B_i})^{N_{ON_i}}}{N_{ON_i}!} \exp - (N_{S_i} + N_{B_i}) \cdot \frac{(\alpha N_{B_i})^{N_{OFF_i}}}{N_{OFF_i}!} \exp(-\alpha N_{B_i})$$

Gaussian likelihood to model the uncertainties on **J**:

$$\mathcal{L}^J = \frac{1}{\ln(10)\sqrt{2\pi}\sigma_J\bar{J}} \exp - \frac{(\log_{10} J - \log_{10} \bar{J})^2}{2\sigma_J^2}$$

Prescription of Fermi-LAT & MAGIC
Ref: JCAP 1602 (2016) 039

Likelihood ratio test statistics:

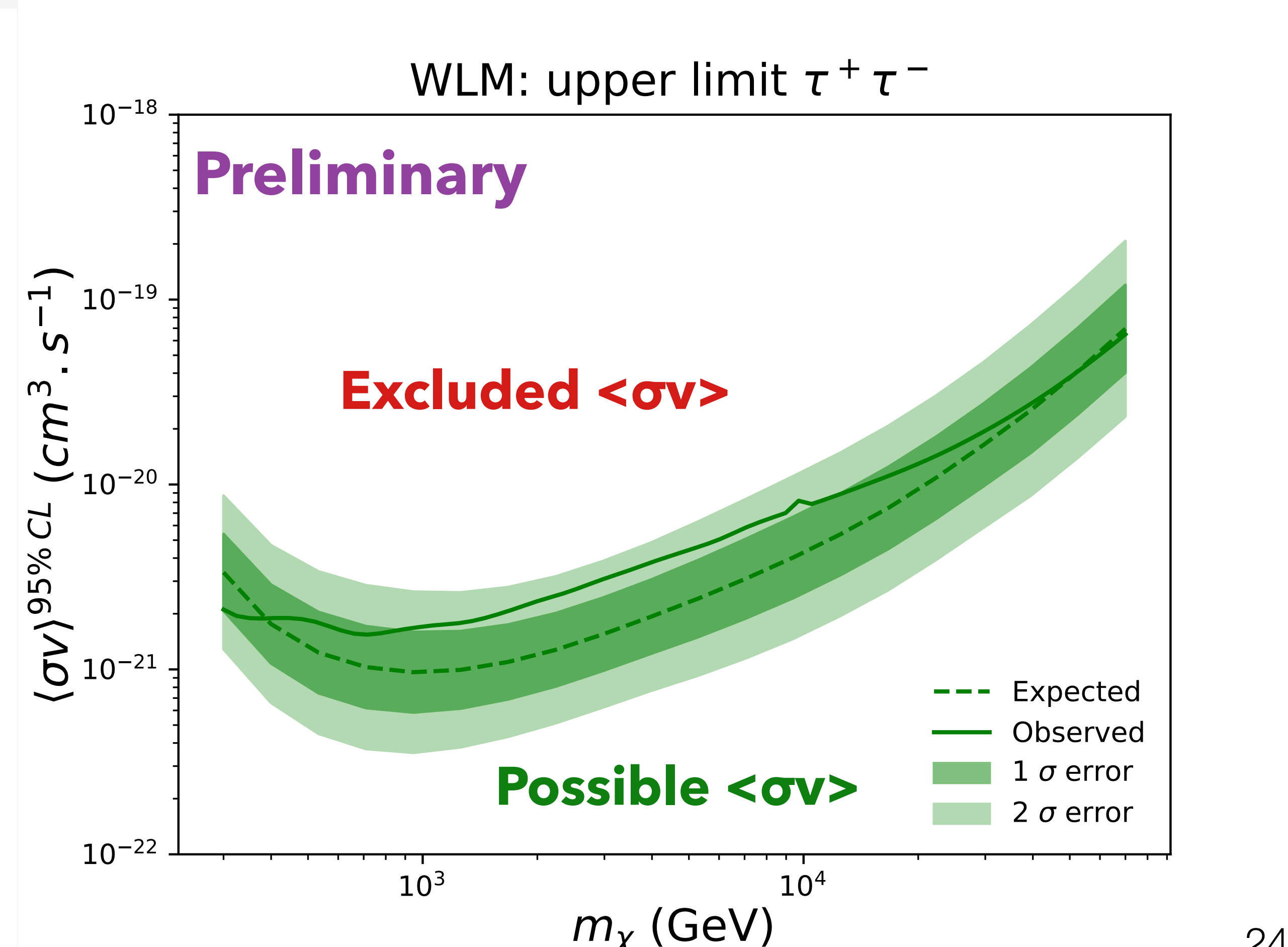
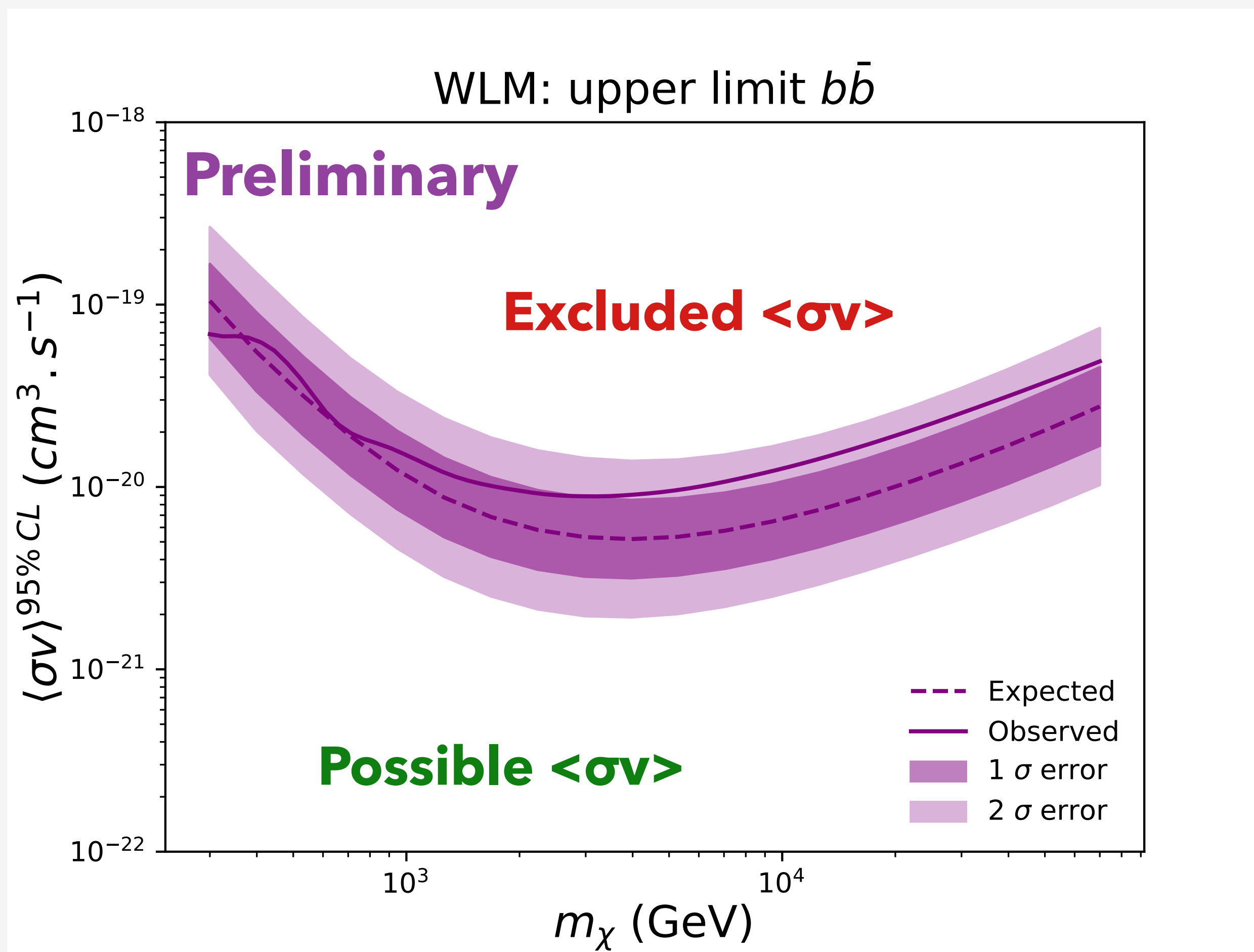
$$\Lambda = -2 \ln \frac{\mathcal{L}_{H_0}}{\mathcal{L}_{H_1}} = -2 \ln \frac{\mathcal{L}(N_{S_0} | \hat{N}_B, \hat{J})}{\mathcal{L}(\check{N}_S, \check{N}_B, \check{J})}$$

Ref: Cowan et al, 2010
Eur.Phys.J.C71:1554,2011

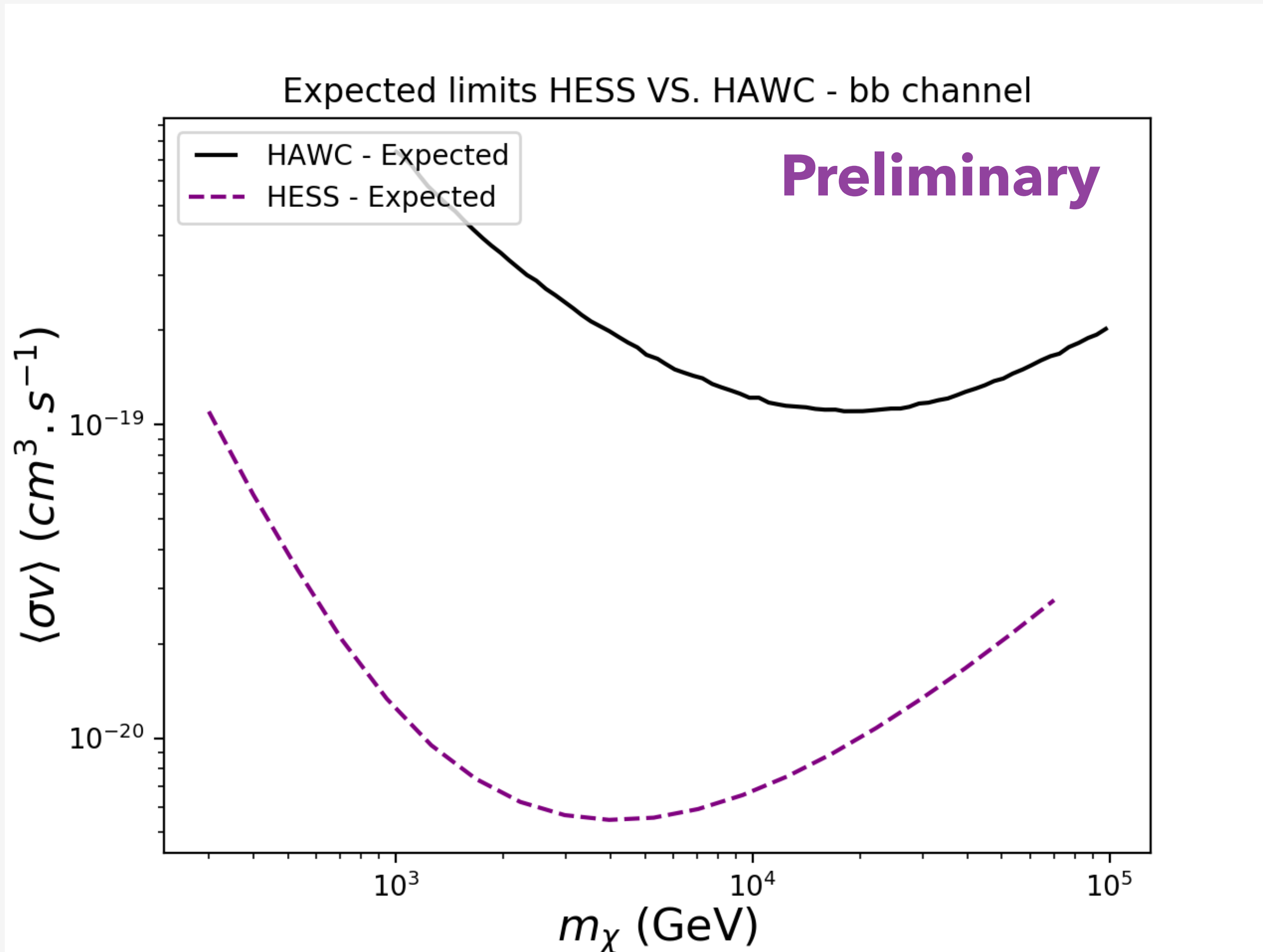
Upper Limits

Expected and observed limits for 8 channels with J uncertainties

Example of upper limits for bb and WW channels



Comparison to HAWC's results



Ref: Gammaldi et al
Phys. Rev. D 98, 083008 (2018)

HAWC - UL for the whole object $\theta_{\text{vir}} = 2.6^\circ$

VS

This work - UL for $\theta = 0.1^\circ$

10x better than those published by HAWC

Conclusion

Conclusion

- **No excess** has been observed in the data
- **Upper limits** for 8 annihilation channels
- WLM as a **point-like** source
- **More competitive** than the upper limits set by HAWC

KOUIGN AMANN



Papers & Conferences

- **Poster** presented at the **ICRC 2019**
- **Proceeding** on arXiv (arXiv:1908.10178)
- Talk accepted at **TeVPA 2019**
- Paper writing **in progress**

Backup

FLUX γ

$$\Phi_{\gamma}(E_{\max}, E_{\min}) = \int_{E_{\min}}^{E_{\max}} \frac{1}{2} \frac{\langle \sigma v \rangle}{4\pi m_{\chi}^2} \sum_f B_f \frac{dN_{\gamma}^f}{dE_{\gamma}} dE_{\gamma} \int_{\Delta\Omega(\alpha, \phi)} d\Omega \int_{l_{\text{os}}} ds \rho_{\text{DM}}^2(r(s, \alpha_{\text{int}}))$$

**Flux γ
théorique**

**Facteur Φ_{PP}
Physique des particules**

**Facteur J
Astrophysique**

- $\langle \sigma v \rangle$ Section efficace d'annihilation moyennée sur la distribution des vitesses
- $\frac{dN_{\gamma}^f}{dE_{\gamma}}$ Nombre de γ par annihilation et par intervalle d'énergie
- B_f Rapport de branchement - Hypothèse: 100% pour chaque voie d'annihilation
- ρ_{DM} Densité de matière noire (DM)
- m_{χ} Masse des WIMPs

NFW Profile

DM component - NFW profile

$$\rho_{\text{NFW}}(r) = \rho_0 \left(\frac{r}{r_s} \right)^{-1} \left(1 + \frac{r}{r_s} \right)^{-2} \quad (1)$$

where the central density ρ_0 and scale length r_s are given by:

$$\rho_0 = \rho_{\text{crit}} \Delta c^3 g_c / 3 \quad ; \quad r_s = r_{200} / c; \quad \text{with} \quad (2)$$

$$g_c = \frac{1}{\log(1+c) - \frac{c}{1+c}} \quad (3)$$

and

$$r_{200} = \left[\frac{3}{4} M_{200} \frac{1}{\pi \Delta \rho_{\text{crit}}} \right]^{1/3} \quad (4)$$

CoreNFW Profile

Stellar component

$$\rho_{\text{coreNFW}}(r) = f^n \rho_{\text{NFW}} + \frac{f^{n-1}(1-f^2)}{4\pi r^2 r_c} M_{\text{NFW}}$$

n = how shallow the core becomes
($n=0$ full cusp, $n=1$ full core)

$$f^n = \left[\tanh\left(\frac{r}{r_c}\right) \right]^n$$

$$n = \tanh(q) \quad ; \quad q = \kappa \frac{t_{\text{SF}}}{t_{\text{dyn}}} \quad (19)$$

where t_{dyn} is the circular orbit time at the NFW profile scale radius r_s :

$$t_{\text{dyn}} = 2\pi \sqrt{\frac{r_s^3}{GM_{\text{NFW}}(r_s)}} \quad (20)$$

$$r_c = \eta R_{1/2}$$

Half stellar mass

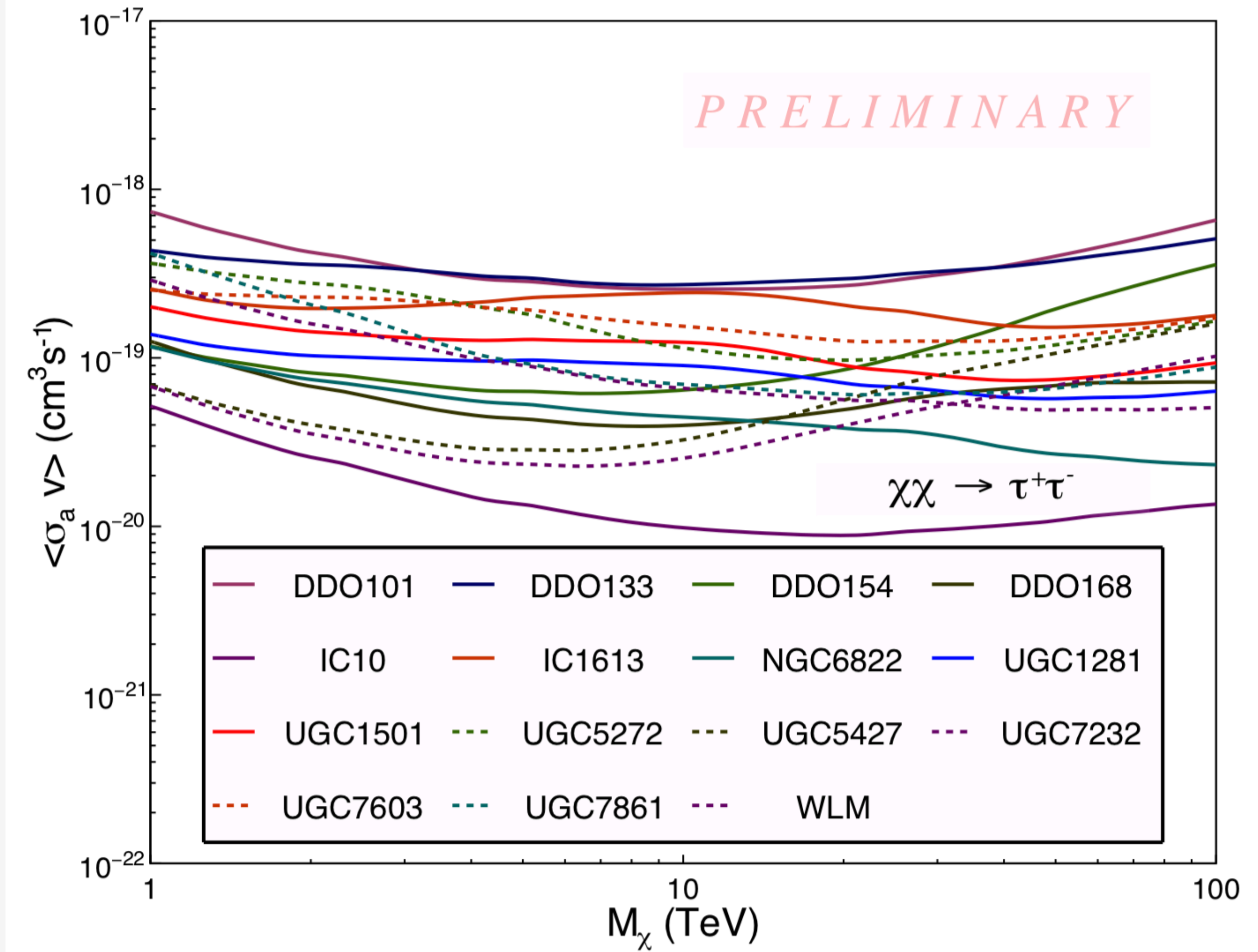
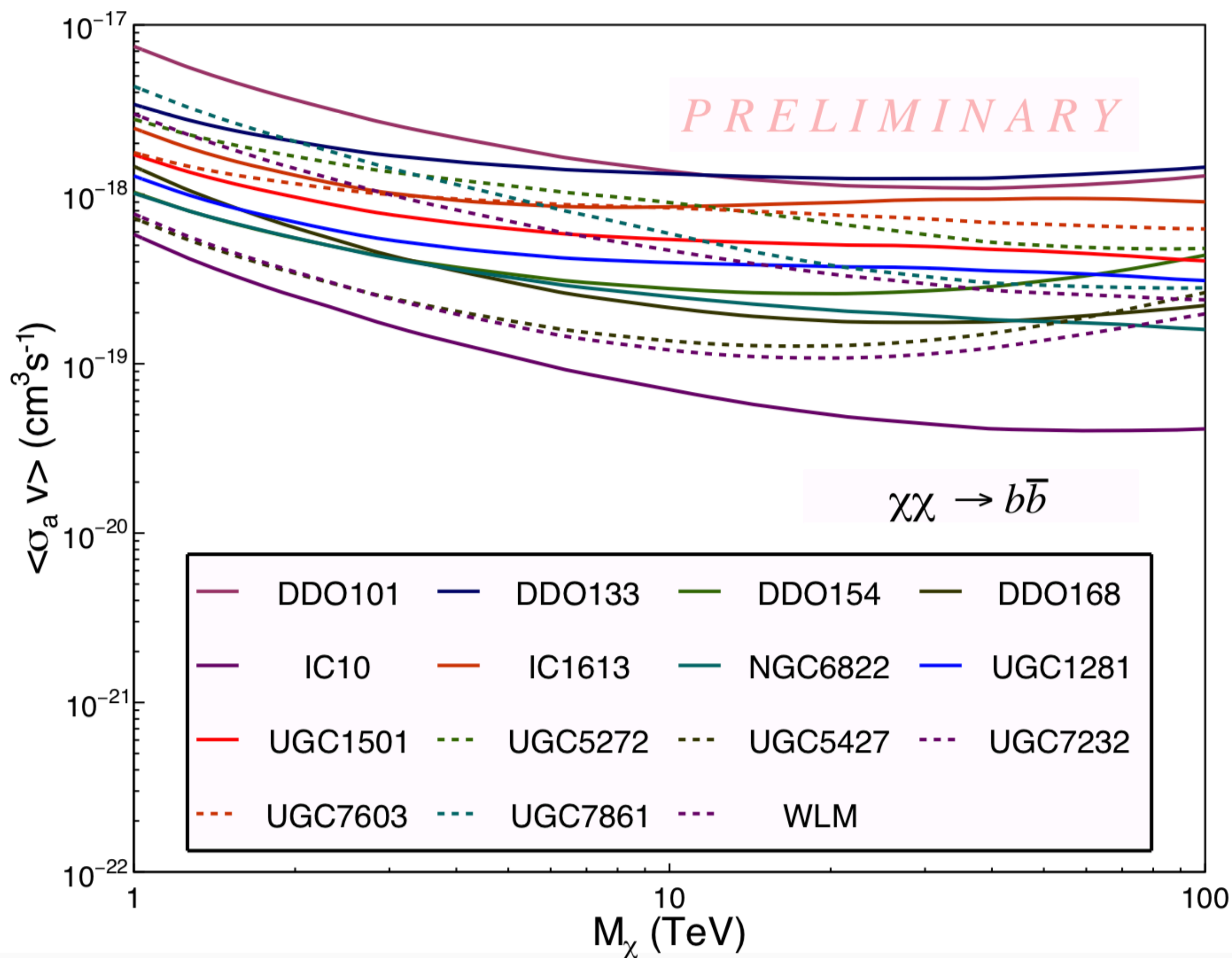
Coefficient

$\kappa = 0.04$ (fitting parameter)

$t_{\text{SF}} = 14 \text{ Gyrs}$

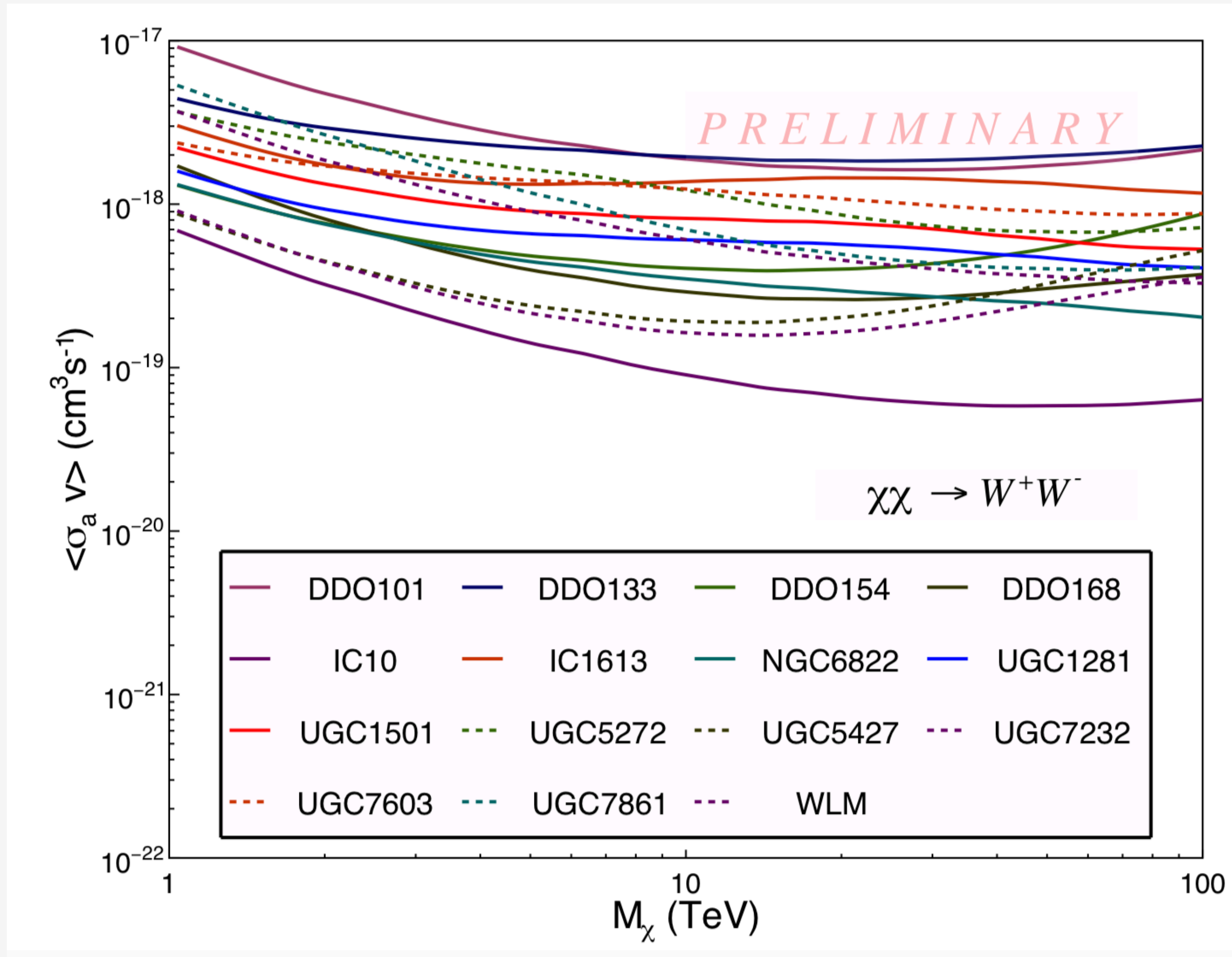
HAWC - Upper limits

Ref: Gammaldi et al, 2018
ArXiv: 1706.01843



HAWC - Upper limits

Ref: Gammaldi et al, 2018



$R_{\text{vir}} = 44.2 \text{ kpc}$

$J = 4.3553 \times 10^{16} \text{ GeV}^2 \cdot \text{cm}^{-5}$

$\theta_{\text{vir}} = 2.5^\circ$

HAWC – Uncertainties

Ref: Gammaldi et al, 2018

“Here the error bars represent the uncertainties of the DM density profile. Then, the 15% error on the DM density distribution parameters ρ_0 and r_0 introduces an uncertainty of 20% – 60% on the density distribution itself, that is 75% of the astrophysical J-factor. We neglect the un- certainties on both the extreme limits of integration along the l.o.s. and the solid angle since these contributions are expected to be negligible.”

“The uncertainties on the virial J-factors in Fig. 4 are calculated as for the point-like analysis. Instead, the error on θ_{vir} is obtained by taking into account that the value of the virial radius R_{vir} in galaxies is independent of the distance to them.”