

# Isospin transport in nuclear collisions studied by multidetectors INDRA-FAZIA

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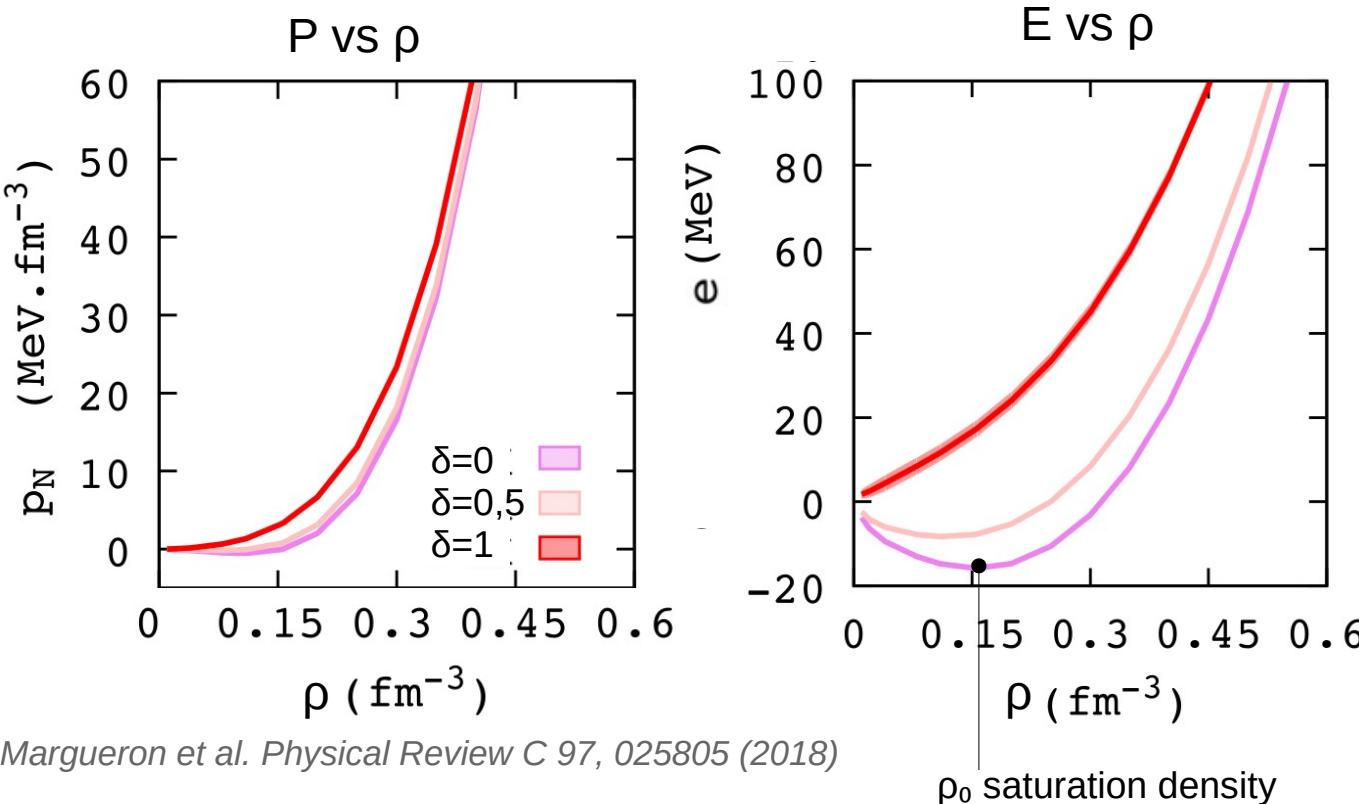
# Introduction : theoretical context

# Theoretical context : Equation of State

Def. Equation of State (EoS) : Pressure = f(Temperature, Density).

A well-known one is the perfect gas equation  $P=\rho RT$

In nuclear physic : **EoS of nuclear matter**  $P(T, \rho, \delta)$  , with  $\rho$  density of nuclear matter  
More often written Energy( $T, \rho, \delta$ )



Margueron et al. Physical Review C 97, 025805 (2018)

# Theoretical context

To get EoS's parameters we use a limited expansion

expanded in power of  $\delta$

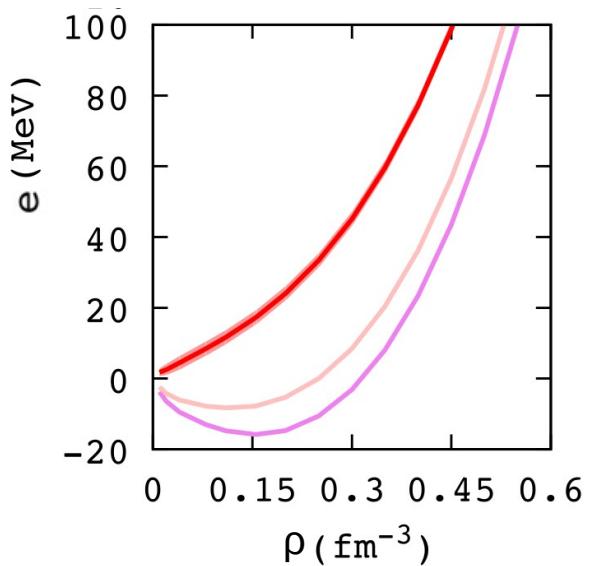
$$e(\rho, \delta) = e_{is}(\rho) + e_{iv}(\rho)\delta^2 + O(\delta^4)$$

expanded in power of  $x = (\rho - \rho_0)/(3\rho_0)$  around saturation density  $\rho = \rho_0$

$$e_{is}(x) = E_{sat} + \frac{1}{2} K_{sat} x^2 + O(x^4) \quad \text{well-known at first orders}$$

$$e_{iv}(x) = E_{sym} + L_{sym} x + \frac{1}{2} K_{sym} x^2 + O(x^4)$$

Parameter	Relative uncertainty
$E_{sym}$	5 %
$L_{sym}$	30 %
$K_{sym}$	100 %



# Experimental way to constrain these parameters

collision timeline

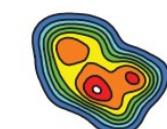
$b=6\text{fm}$



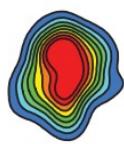
$t=25\text{fm}/c$



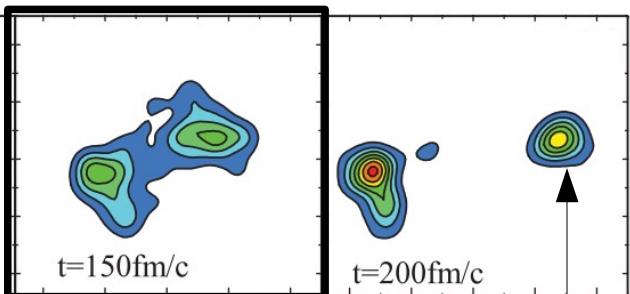
$t=50\text{fm}/c$



$t=75\text{fm}/c$



$t=100\text{fm}/c$

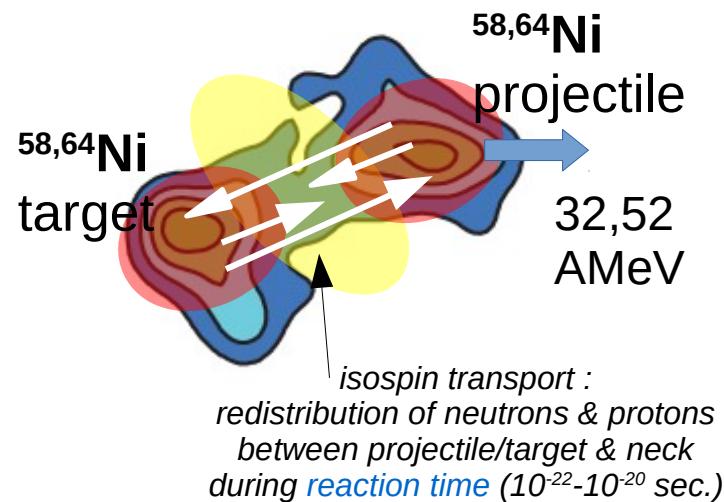


$t=150\text{fm}/c$

$t=200\text{fm}/c$

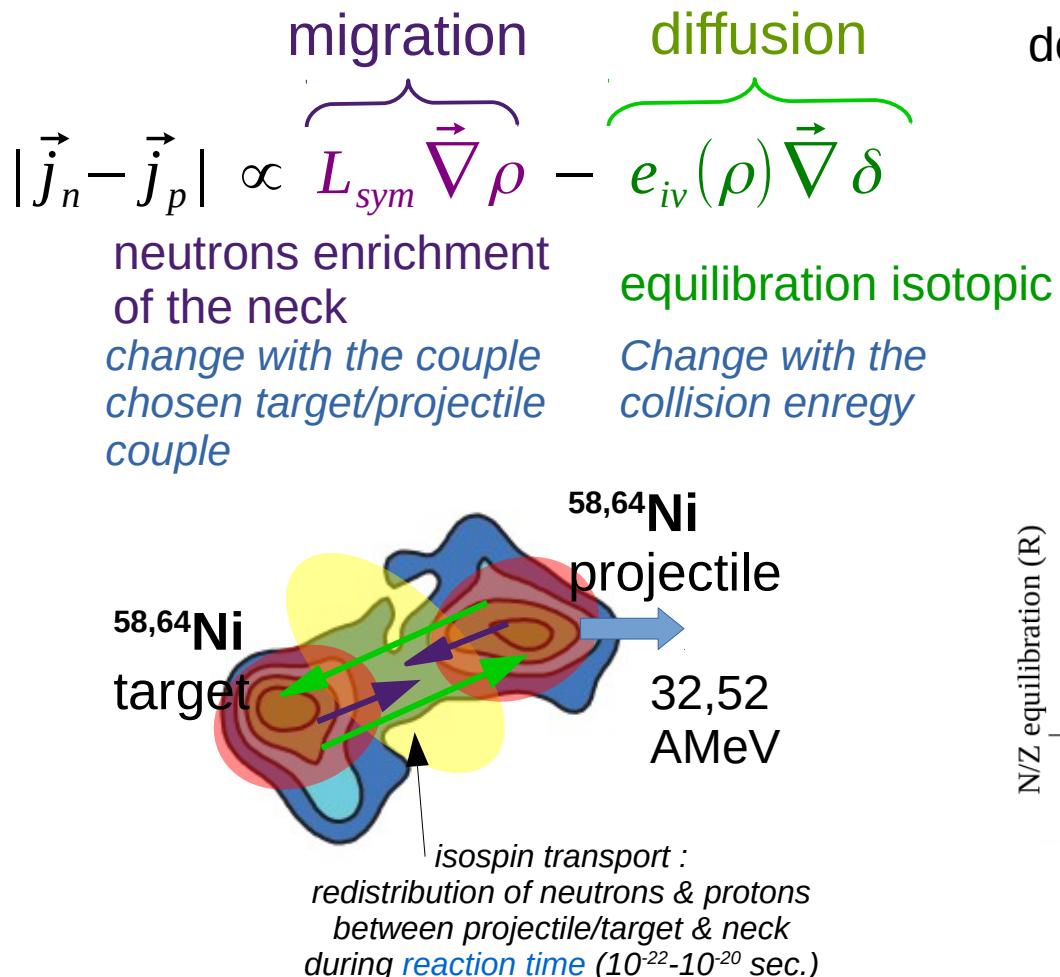
Quasi-Projectile

Yingxun Zhang, et al. Physical Review C, 85(2)



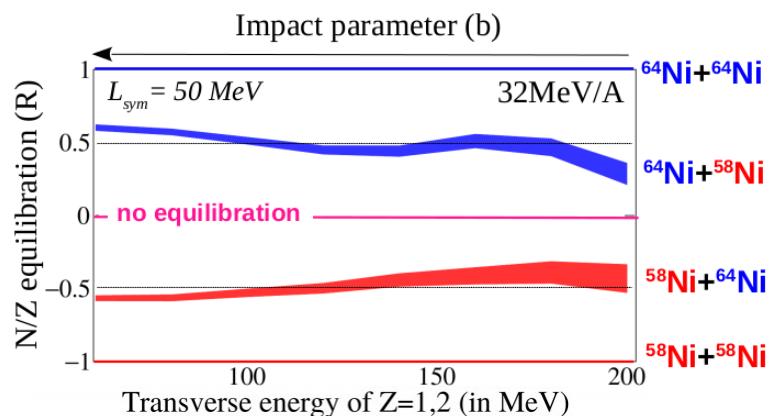
Requirements :  
**impact parameter  $\mathbf{b}$** , deduced from fragments multiplicity  
**reaction time**, deduced from  $\mathbf{b}$  and  $E(\text{projectile})$

# Isospin and collisions



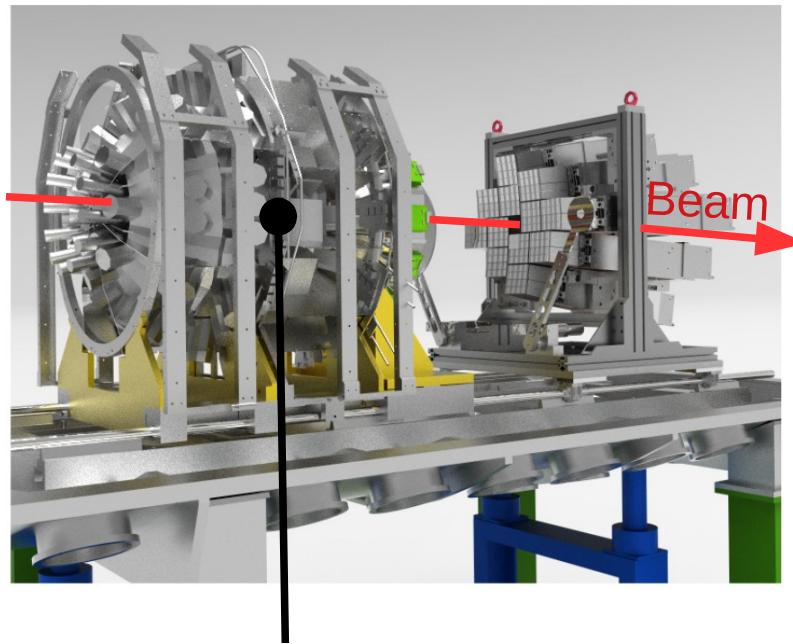
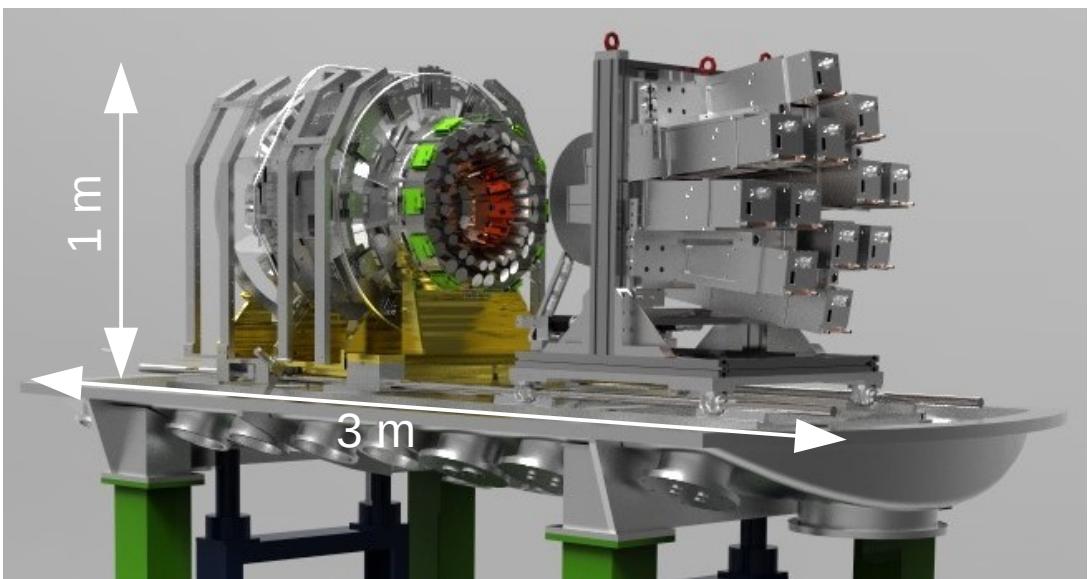
**neutrons stream and protons stream difference**  $|\vec{j}_n - \vec{j}_p|$ ,

deduced from  $(\frac{N}{Z})_{ini} - (\frac{N}{Z})_{final}$



Lopez and Piantelli, E789 proposal

# The multidetector : INDRA-FAZIA



**Target**

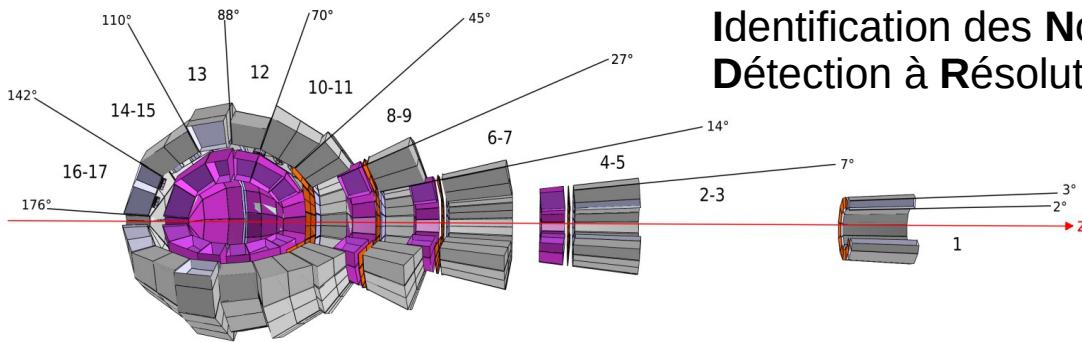
almost  $4\pi$  angular coverage



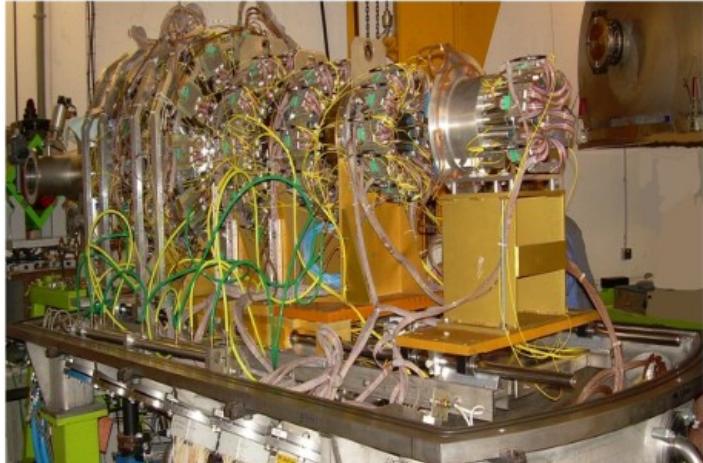
A & Z Quasi-Projectile well-measured

# The multidetectors : INDRA

25 years  
analogic electronic



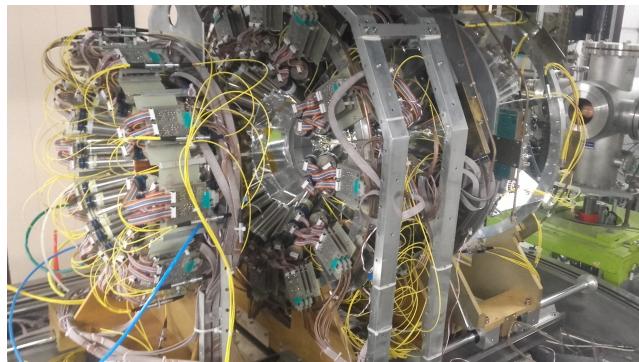
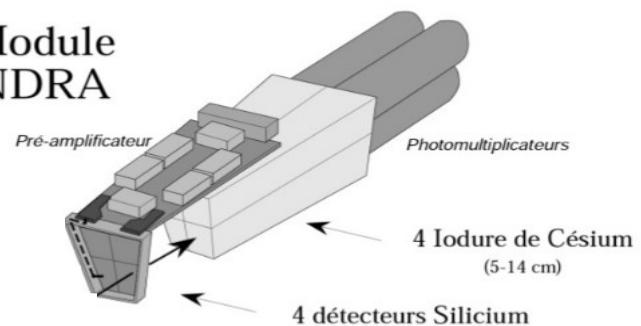
**Identification des Noyaux et  
Détection à Résolution Accrue**



12 rings left = 240 telescopes  
Angular coverage  $14^\circ$  to  $176^\circ$

Z identification up to Z = 92  
Isotopic identification up to Z = 6

**Module NDRA**



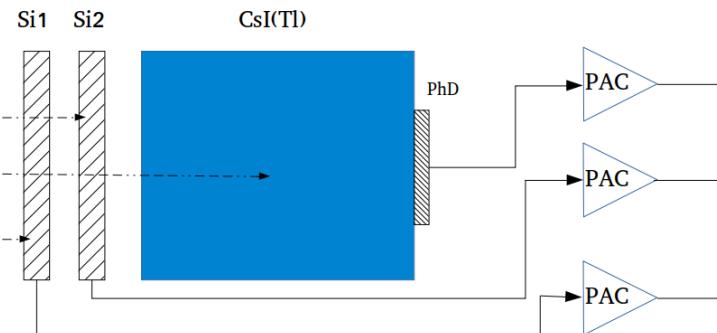
# The multidetectors : FAZIA

## Forward A and Z Identification Array



12 blocks x 16 telescopes =  
192 telescopes = 576 detectors

Angular coverage from  $1.5^\circ$  to  $14^\circ$

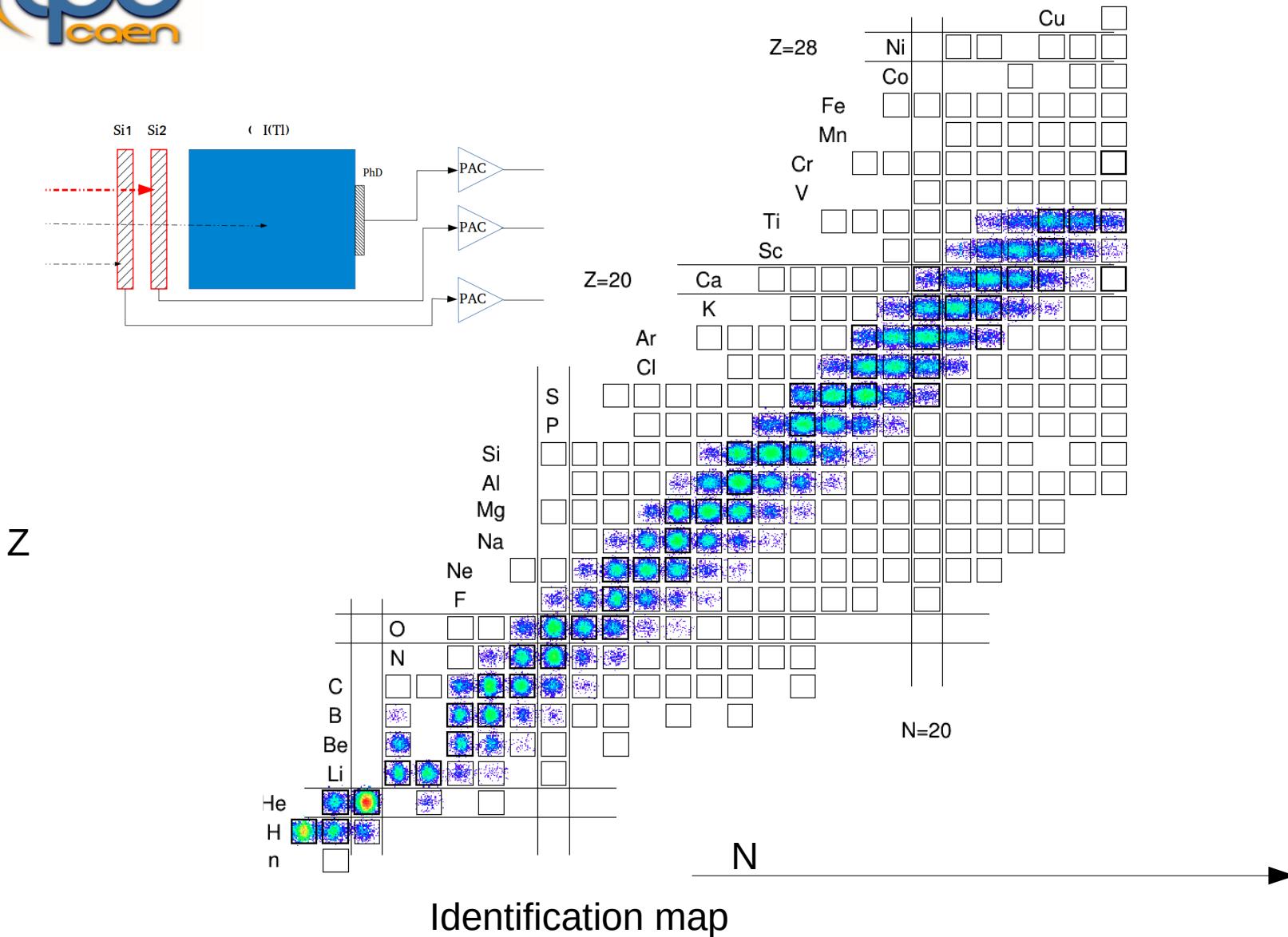


- ✓ numeric electronic = better signal treatment
- ✓ Si new generation optimized for mass detection (homogeneity)
- ✓ Good angular resolution (small size of telescopes)

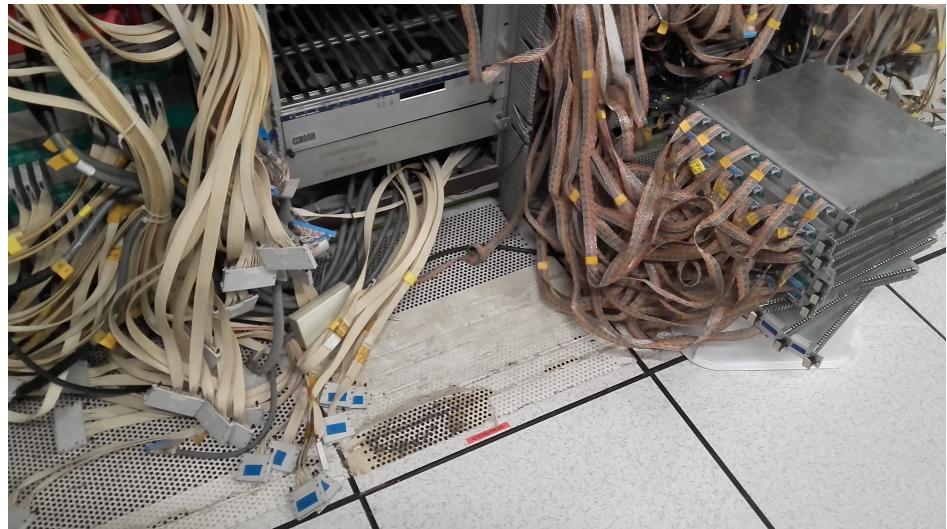
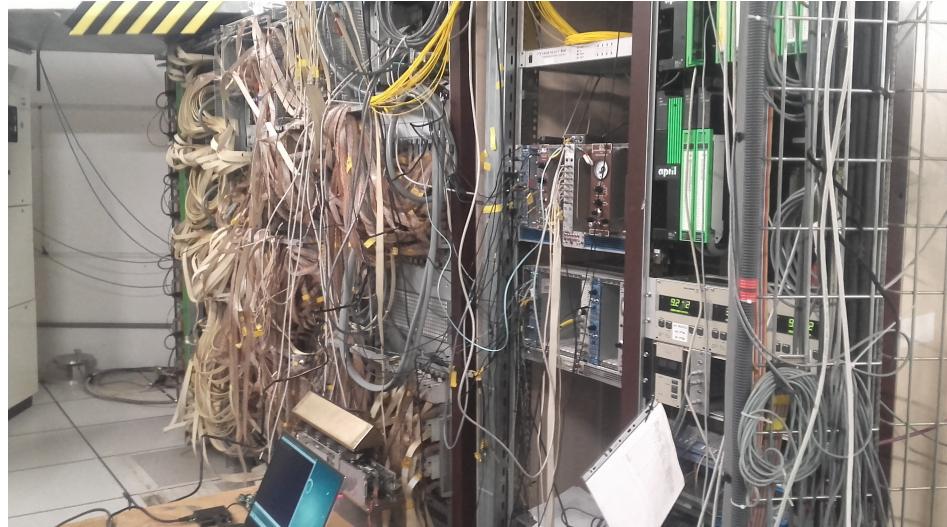
Z identification up to  $Z = 92$

Isotopic identification up to  $Z = 25$  !

# The multidetectors : FAZIA



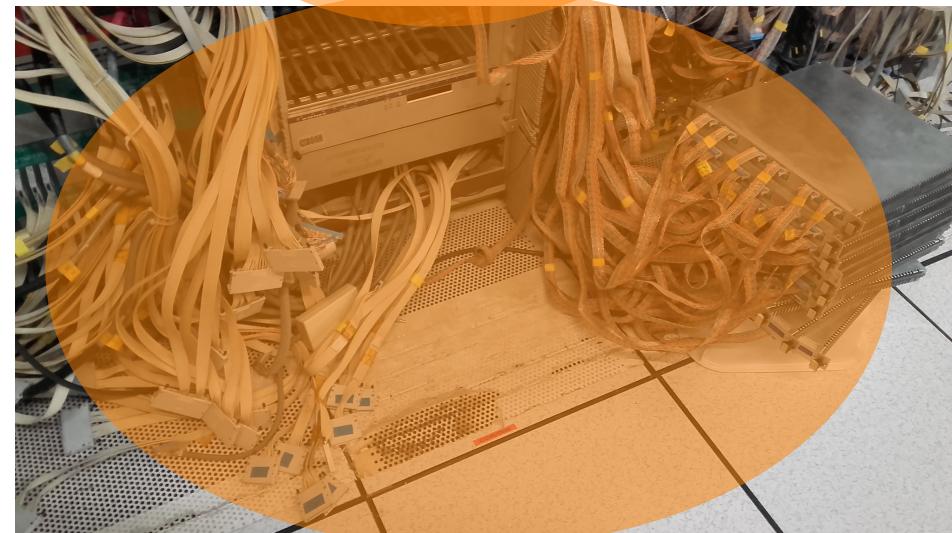
# The multidetectors : comparison



# The multidetectors : comparison



INDRA



# The multidetectors : comparison



FAZIA

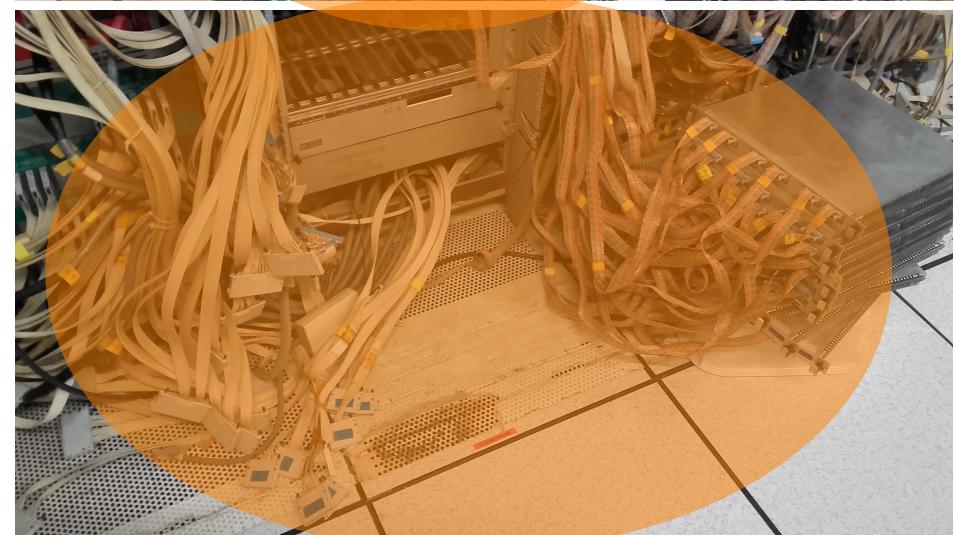


INDRA

# The multidetectors : comparison



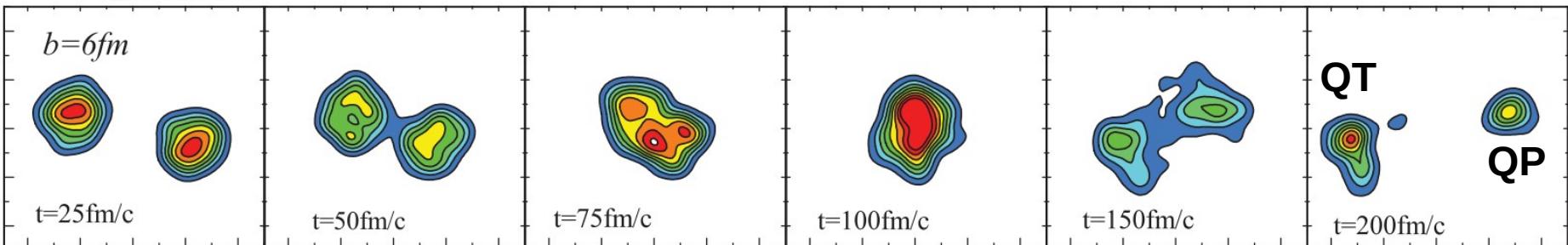
FAZIA



INDRA

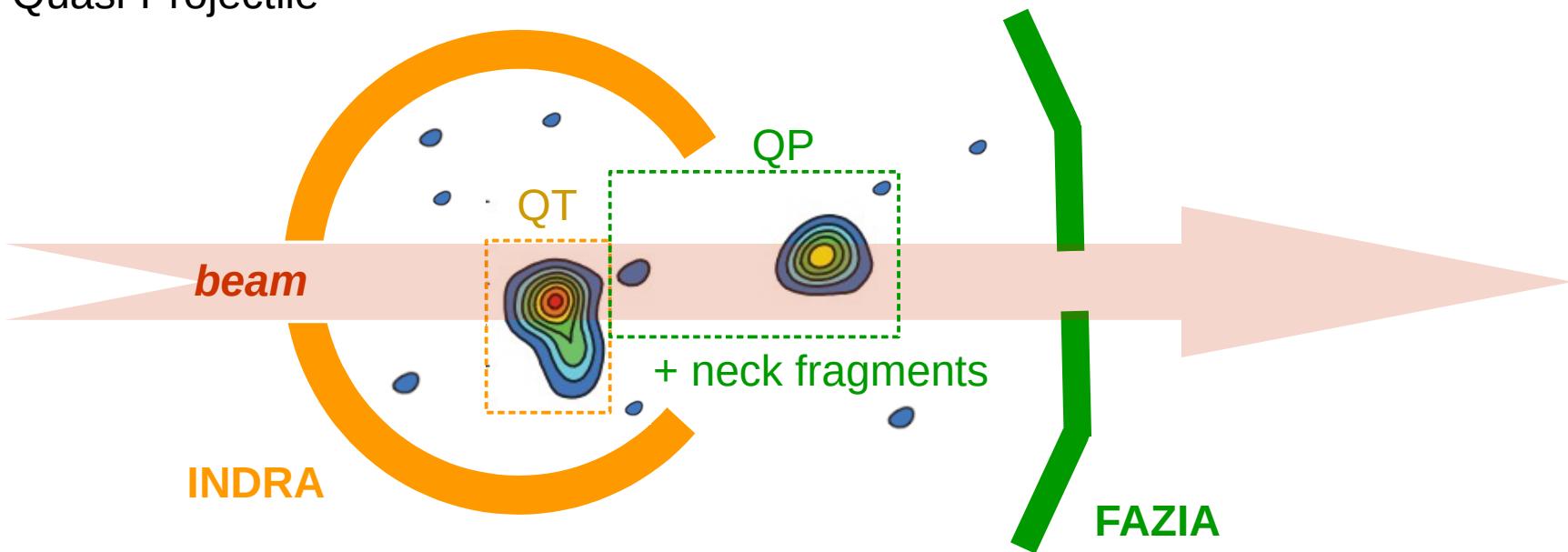


# The multidetectors : FAZIA



QT : Quasi-Target

QP : Quasi-Projectile





## Mounting E789 INDRA-FAZIA (december 2018 – march 2019)

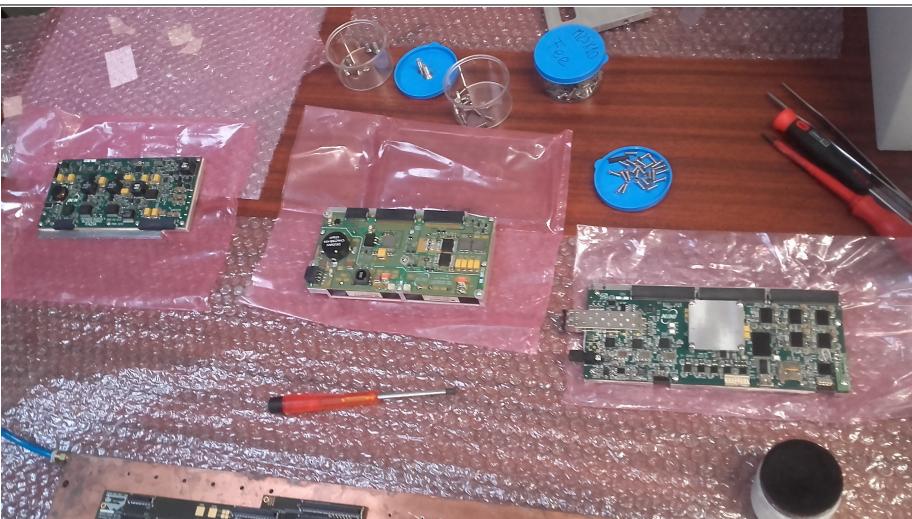
# Mounting E789 : Mounting FAZIA Block's electronic

Cooling plate

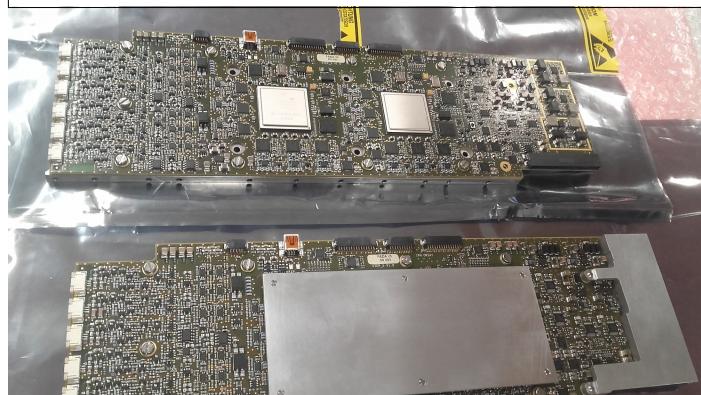


Working in vacuum (6h de pumping)

PS card, Half Bridge, Block card



Telescopes electronic cards

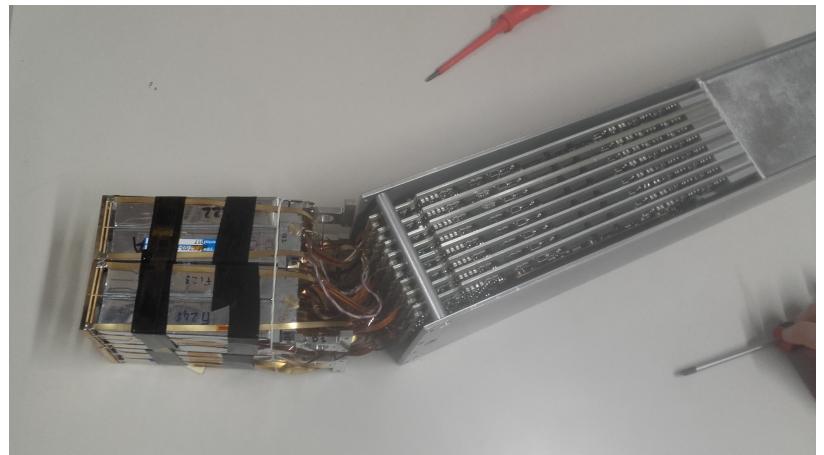
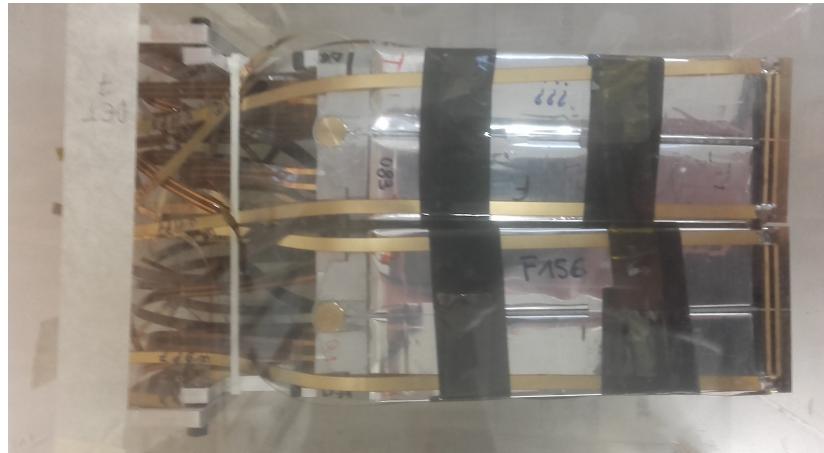


All mounted in the shelter



# Mounting E789 : Mounting FAZIA

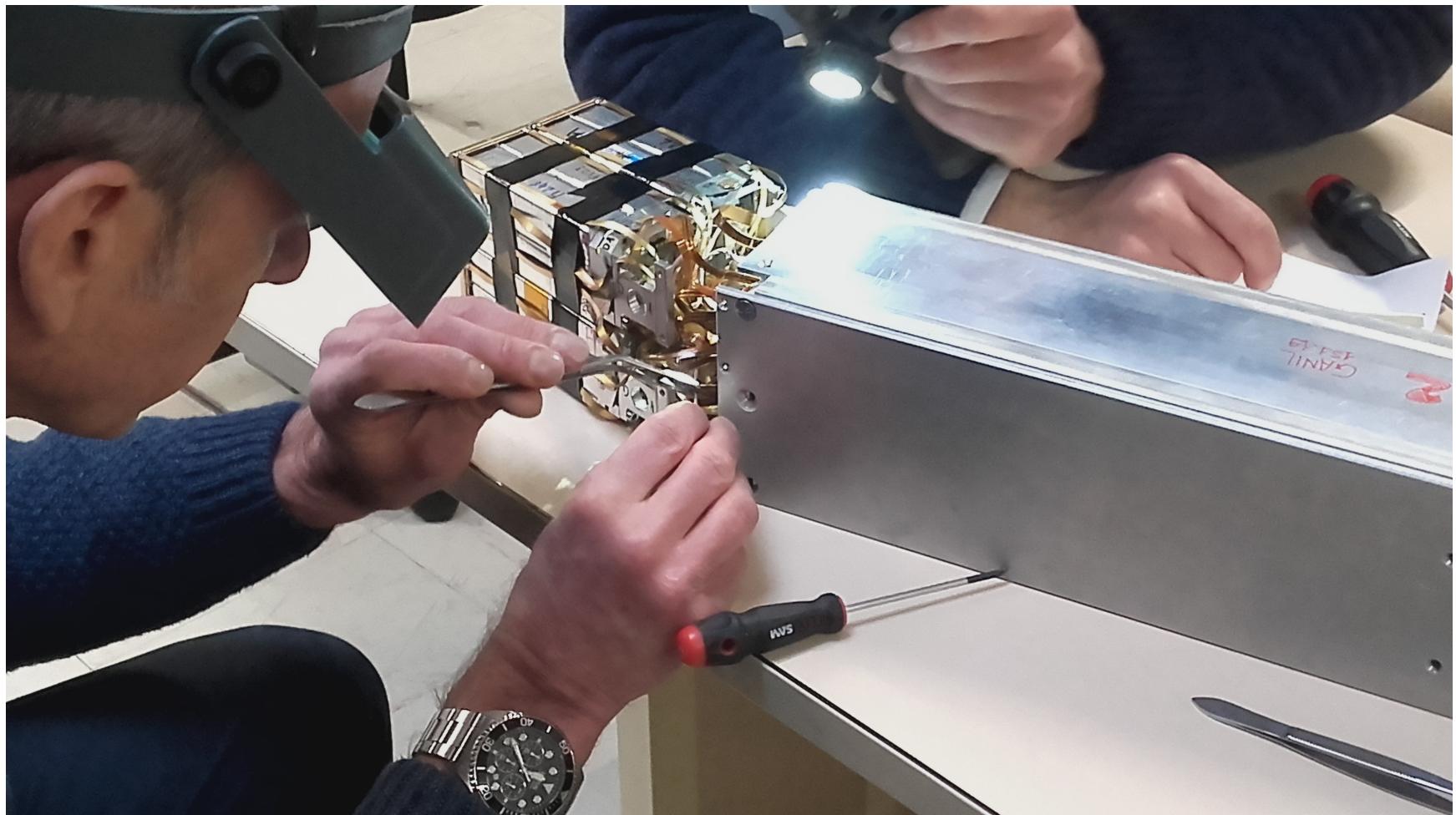
## *Detection's head*



1 cable Kapton by detector = 48 cables by head of detection

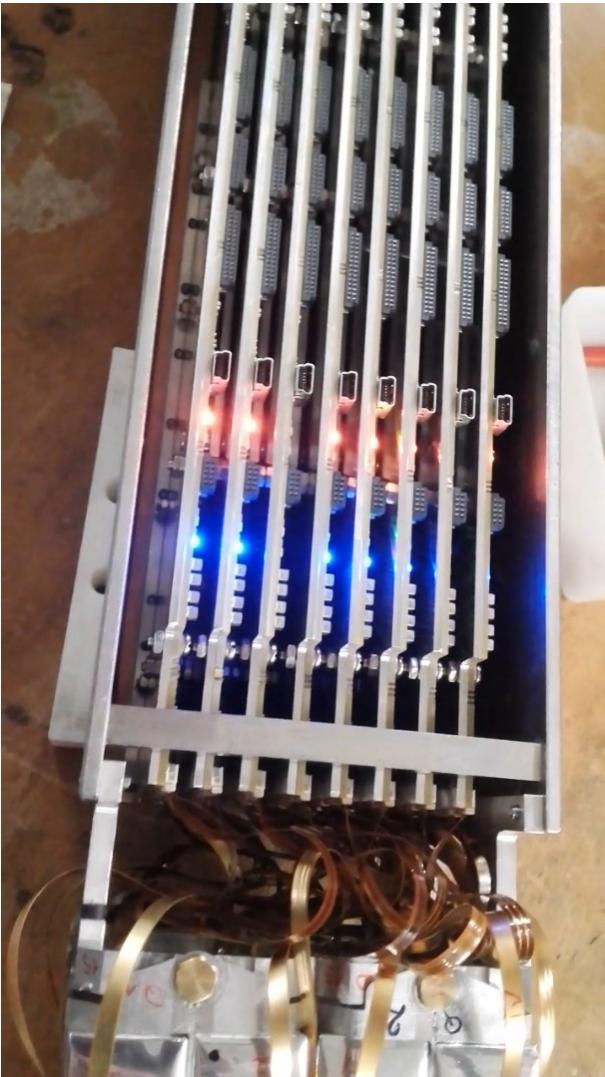
# Mounting E789 : Mounting FAZIA

## Detector's head

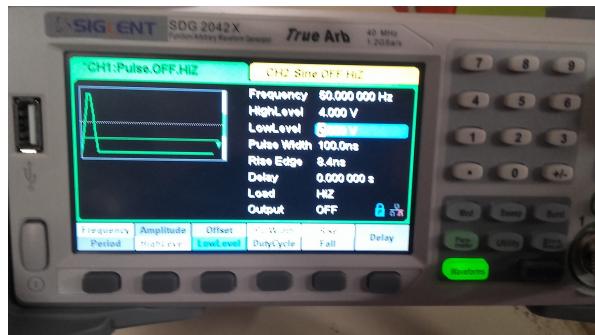


Giovanni Casini connecting the detector's head to the electronic cards

# Mounting E789 : Mounting FAZIA



Electronic tests  
Pulser tests  
Infrared LED tests  
Cosmics/alphas tests



*Each block is tested alone before mounting in the vacuum chamber*

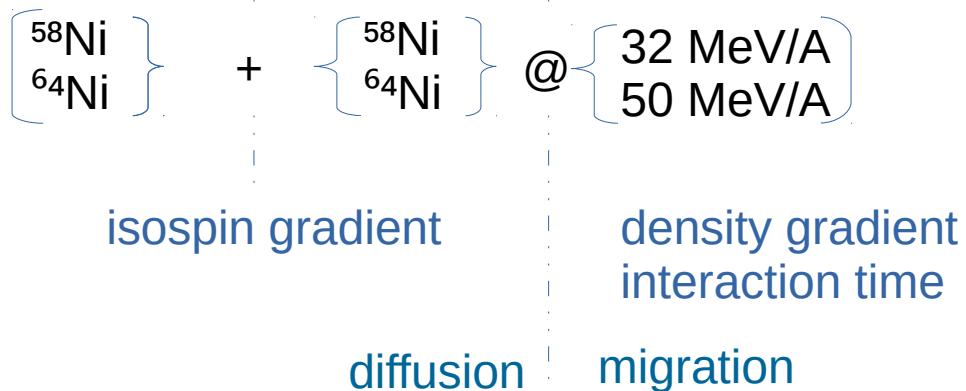




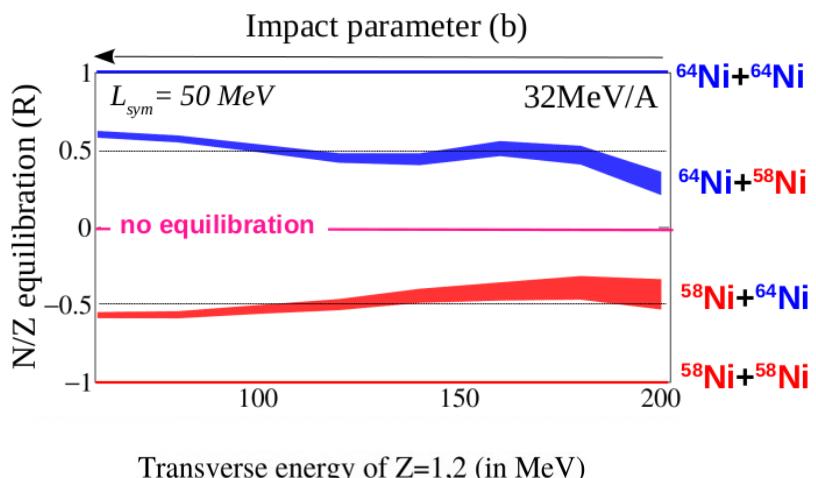
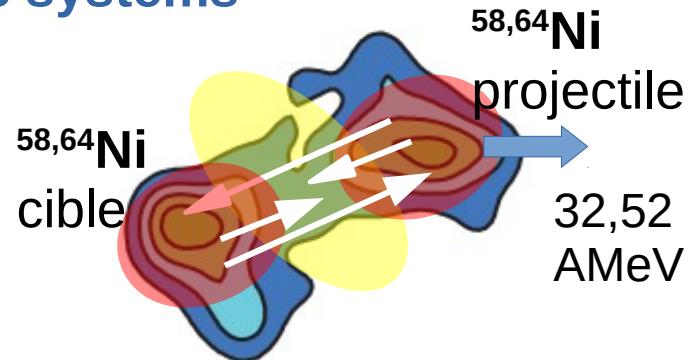
- ✓ Good beam intensity
- ✓ Stable detectors
- ✓ **240 millions events** saved

# The experiment : the beam

2 projectiles  $\times$  2 targets  $\times$  2 energies = **8 systems**



Study symmetric systems avoid experimental influence



# The experiment: monitoring

Temperature of FAZIA cards

Temperature of INDRA electronic

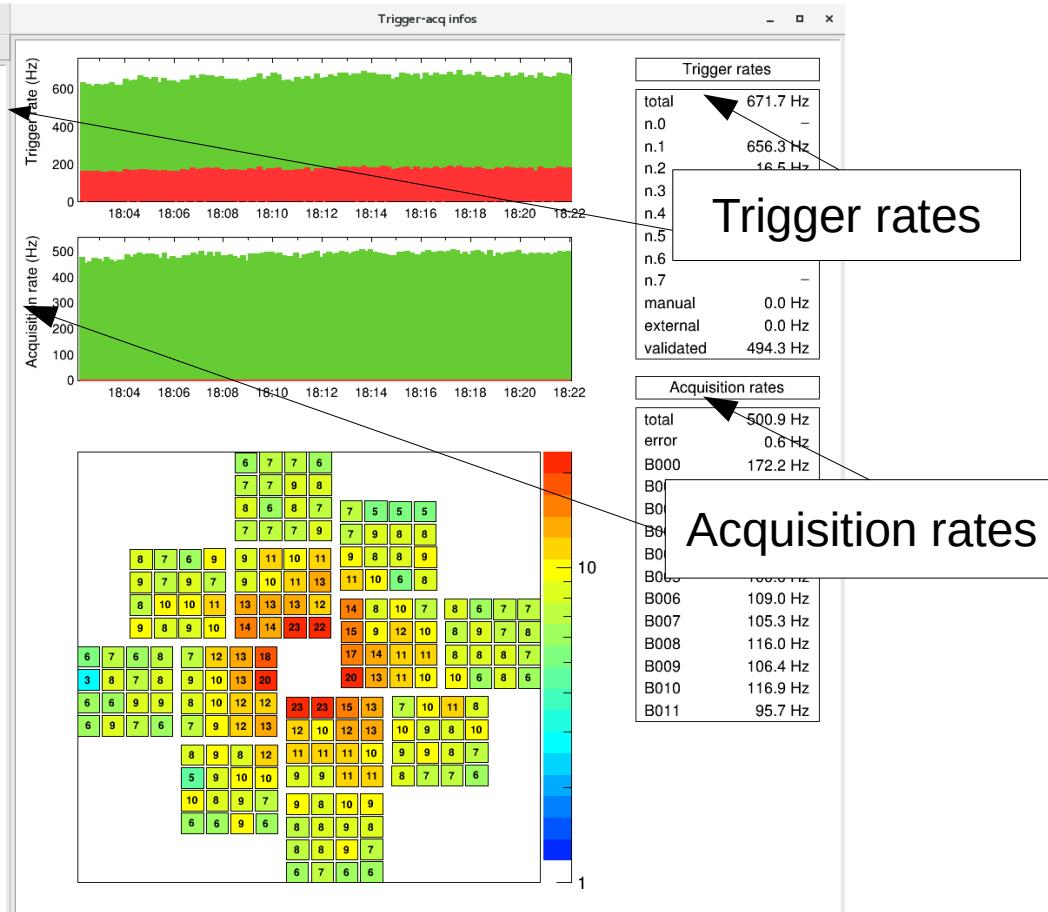
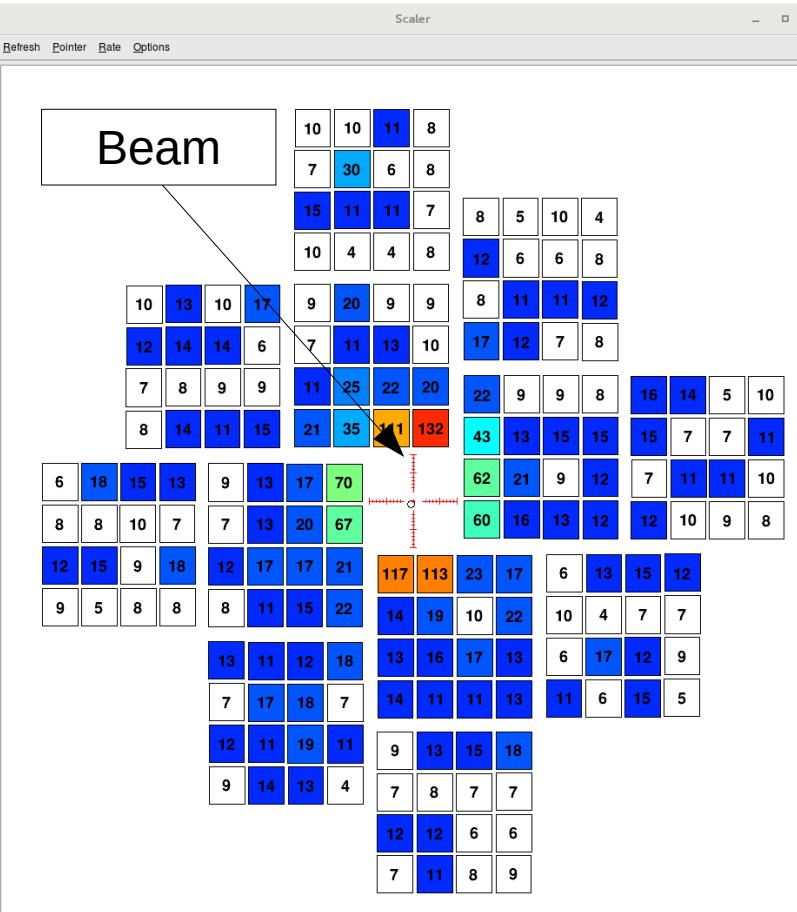
Vacuum quality

Electronic stability

Beam intensity

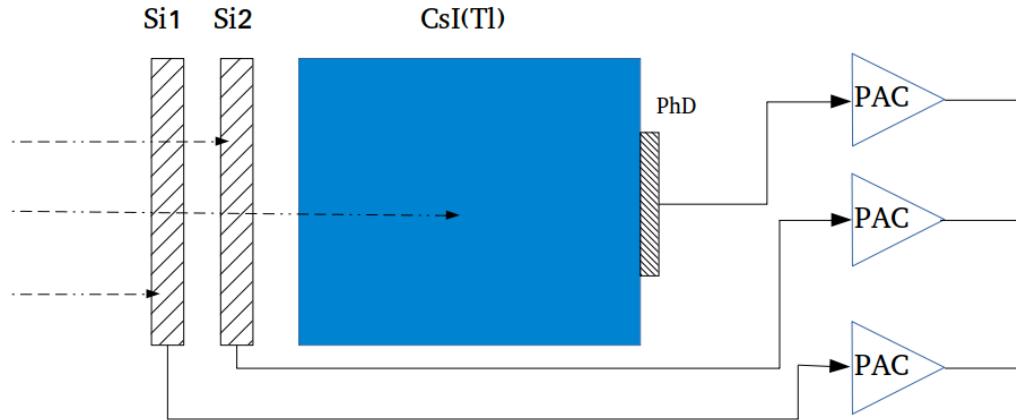
Beam focus

Telescopes counting rate



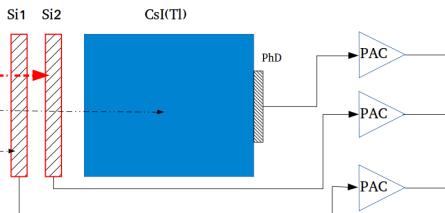
## DATA REDUCTION

# Data reduction : identification methods

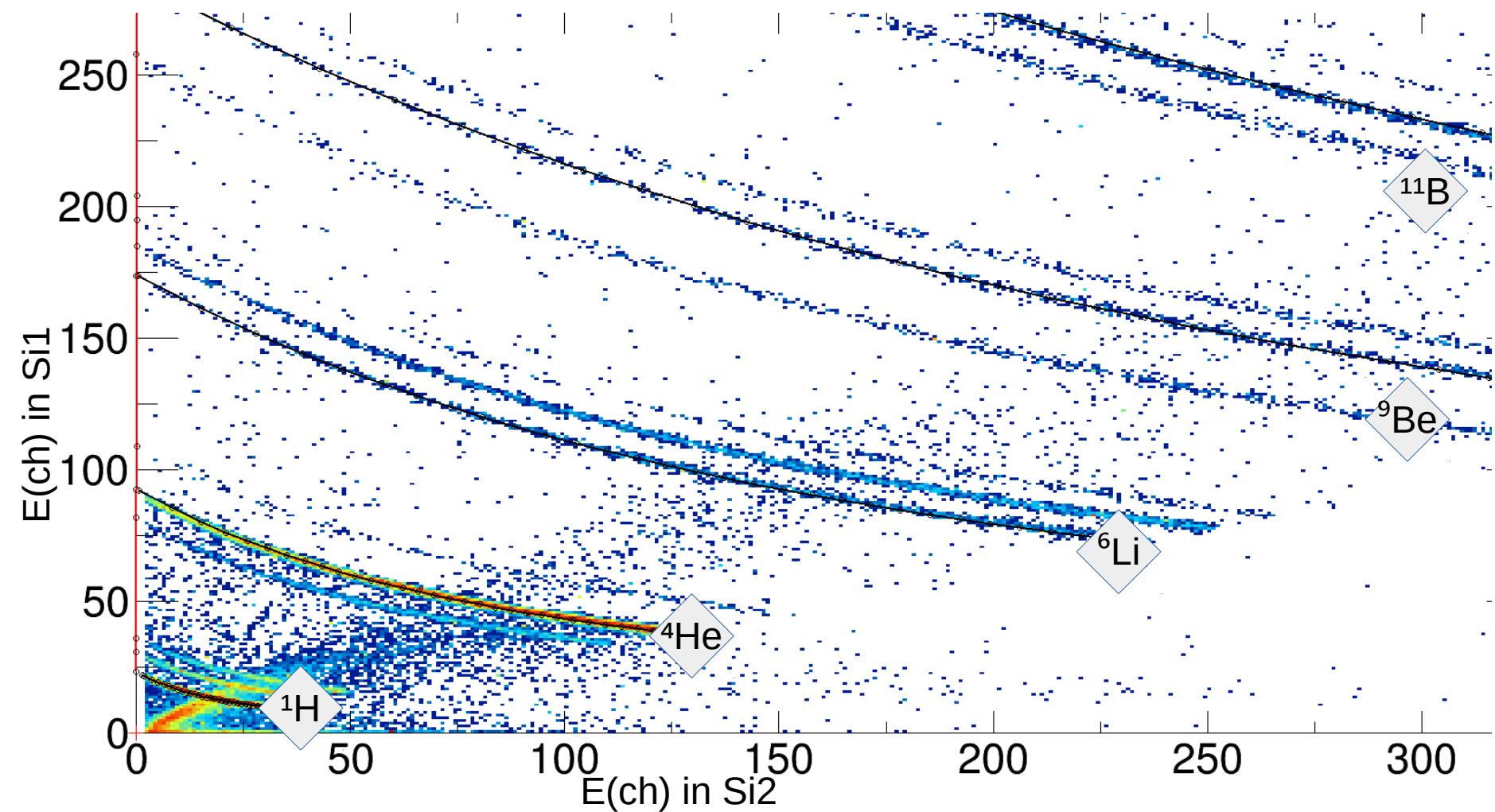


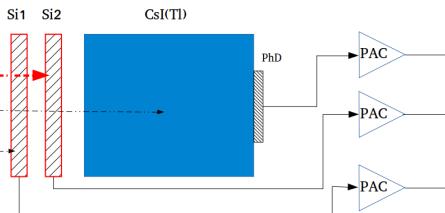
- The **Pulse Shape Analysis** (PSA) method in the first, second silicon or cesium iodure scintillator (Si1, Si2, CsI(Tl)) 
- The  **$\Delta E - E$**  method between the first and the second silicon (Si1 - Si2) but also between the second silicon and the CsI (Tl) (Si2 – CsI)

$$Bethe-Bloch \quad \Delta E \propto \frac{AZ^2}{E}$$

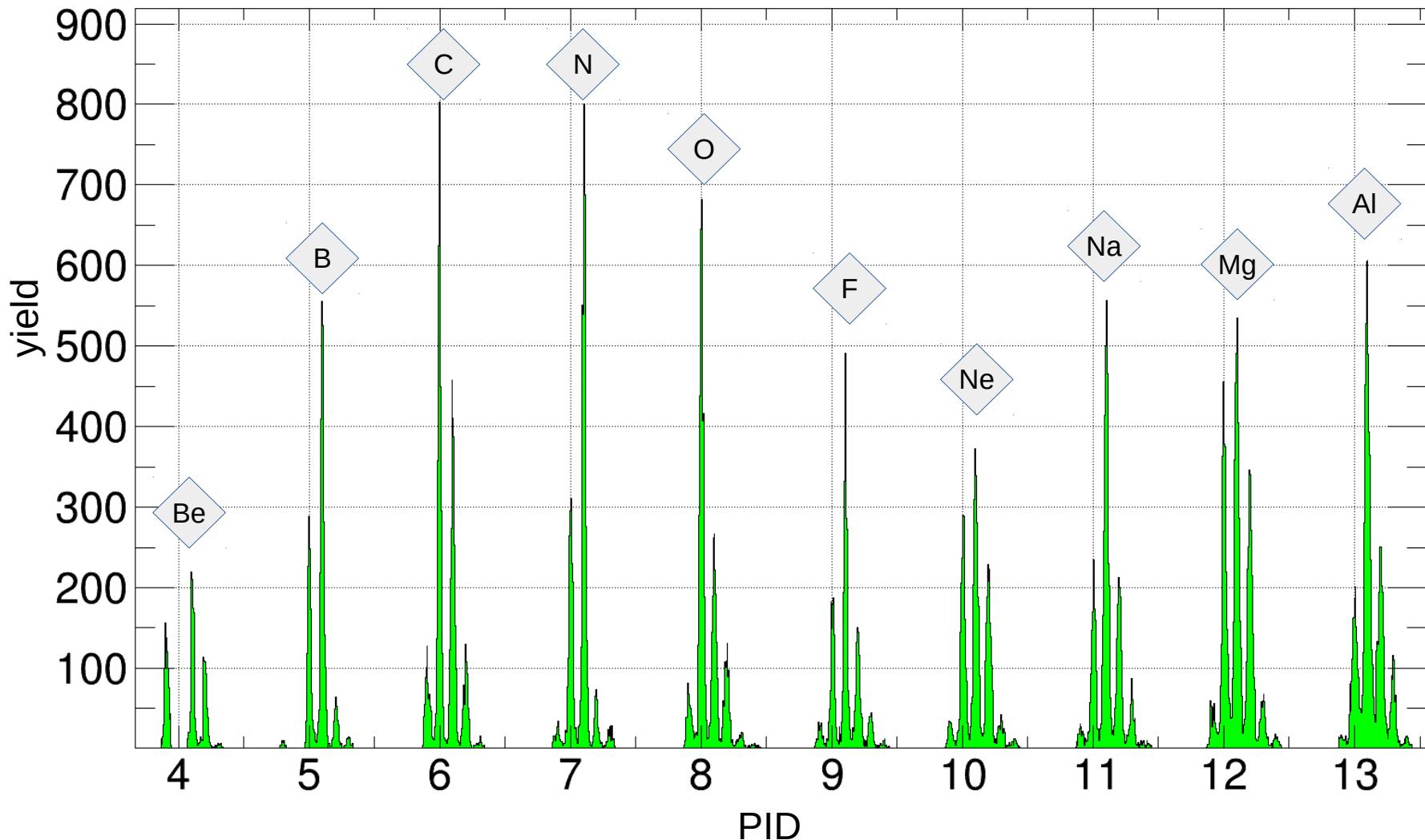


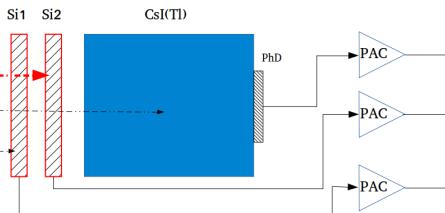
## Data reduction : Identification Si1-Si2



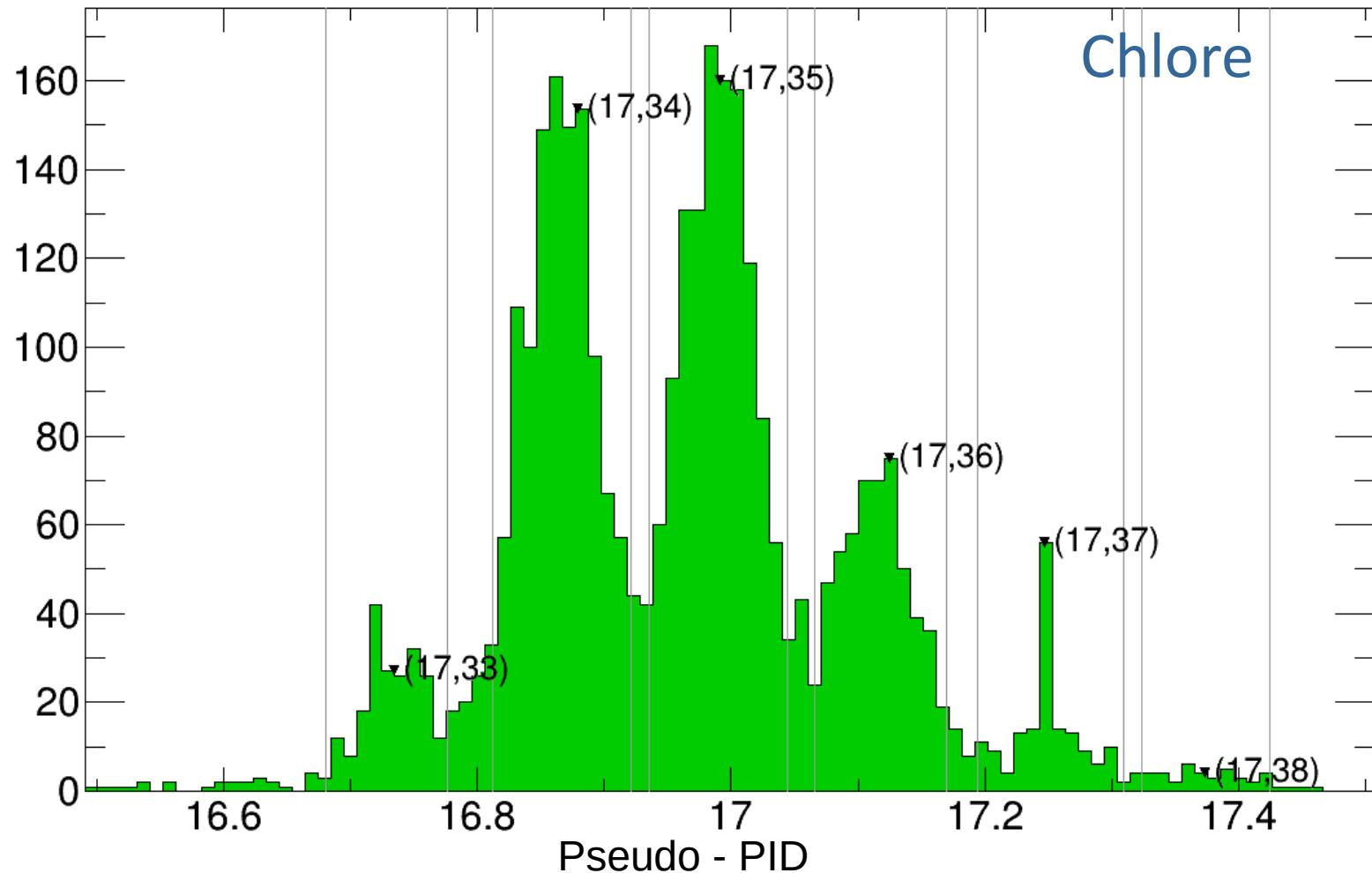


## Data reduction : Identification Si1-Si2

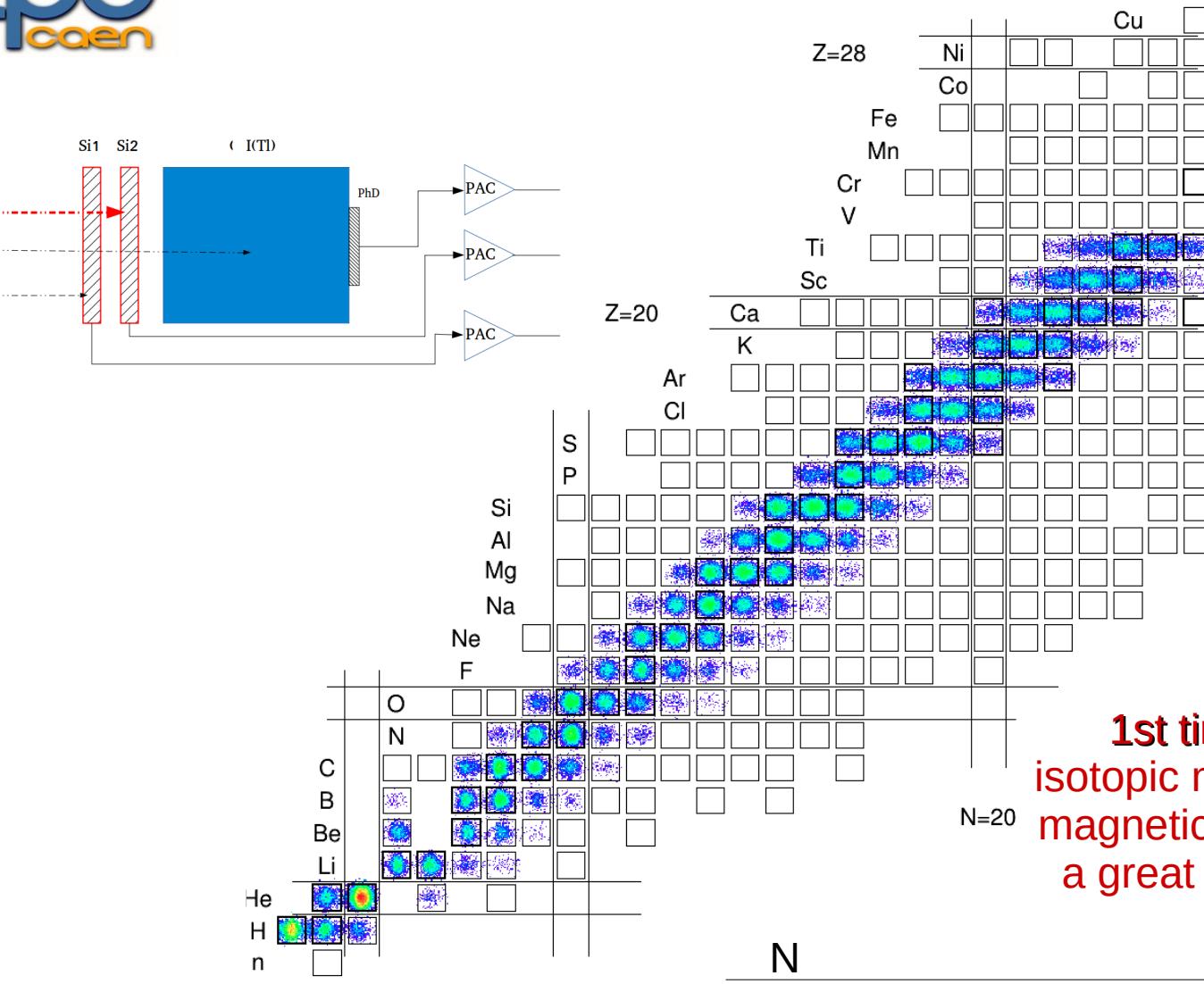




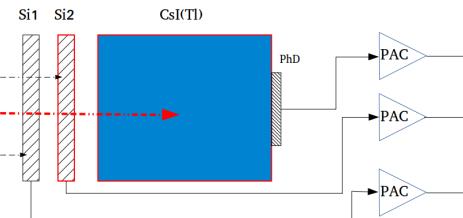
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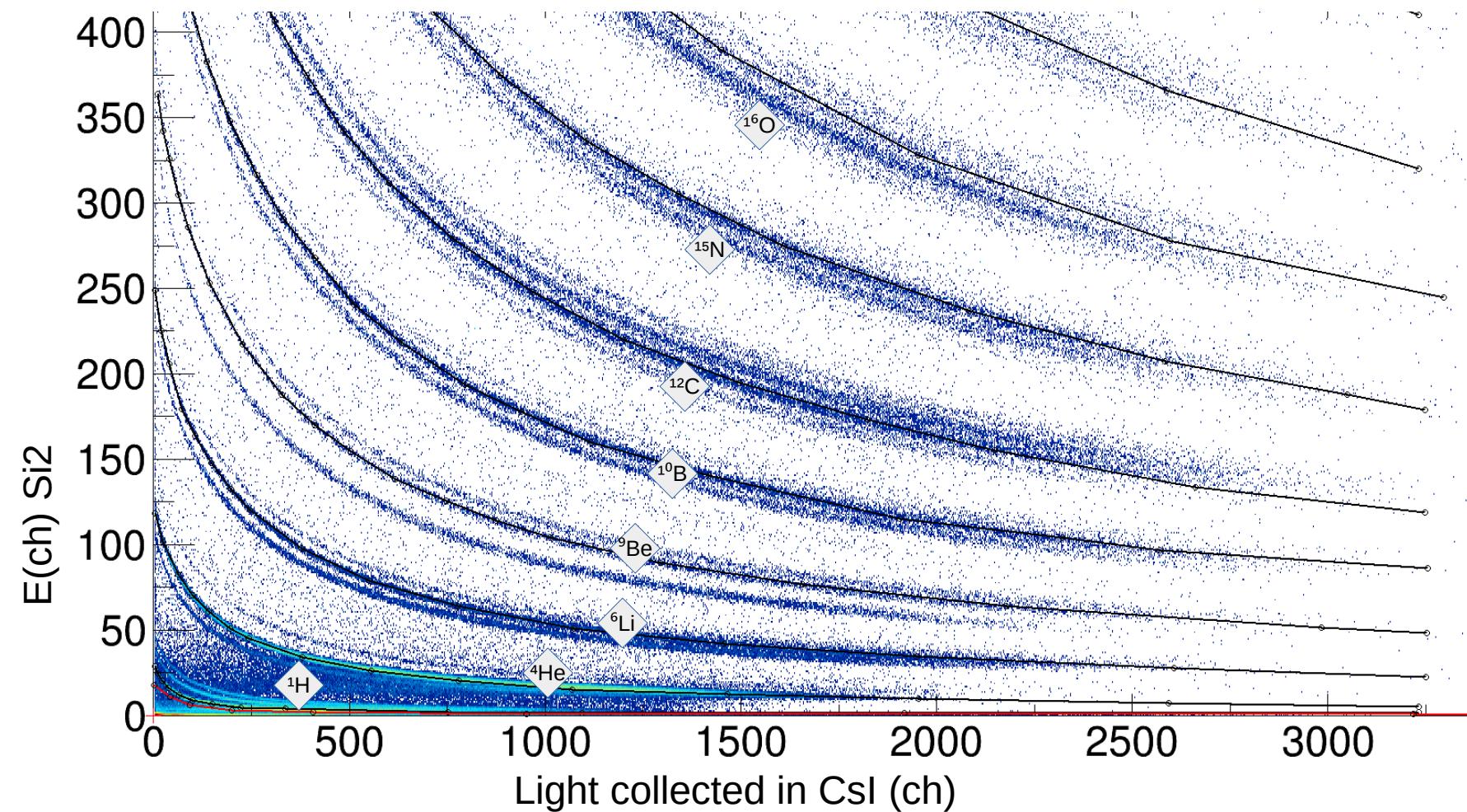
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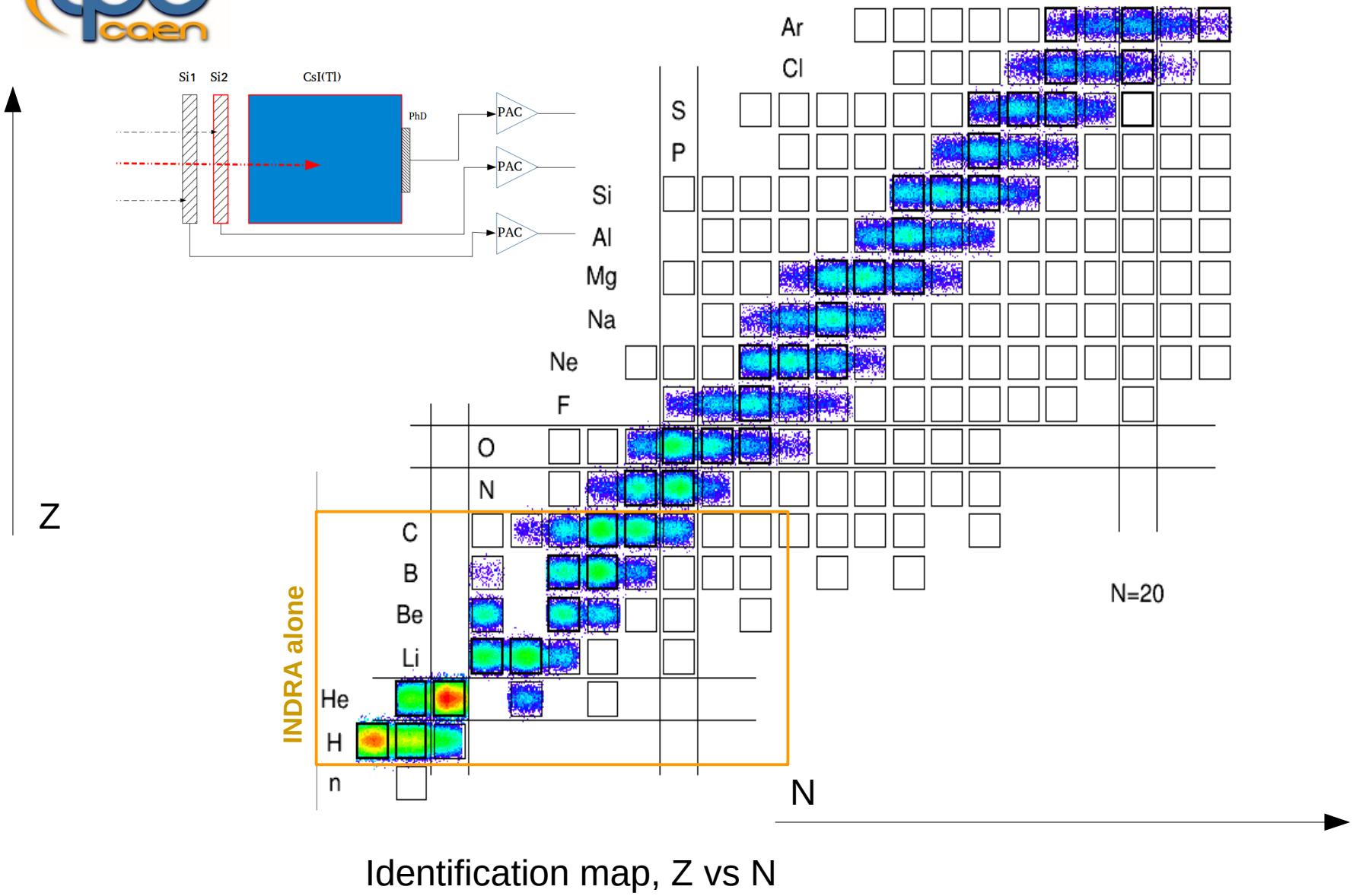
**1st time in the world**  
**isotopic measurement like a**  
**magnetic spectrometer with**  
**a great angular coverage**



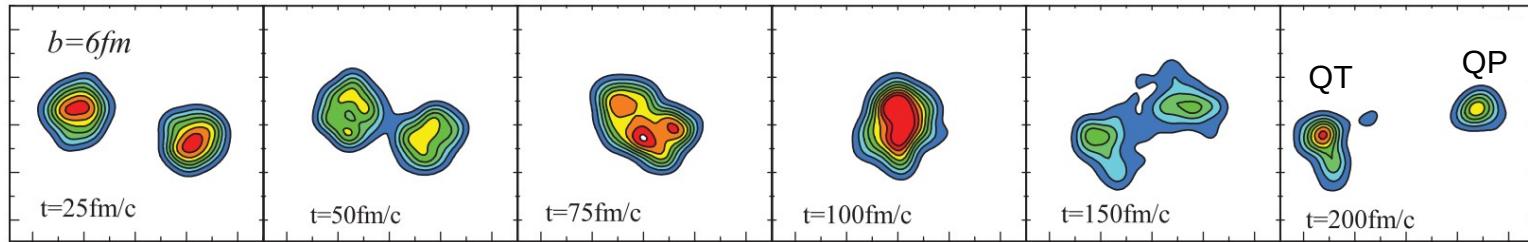
## Data reduction: Identification Si2-CsI



# Data reduction : Identification Si2-CsI



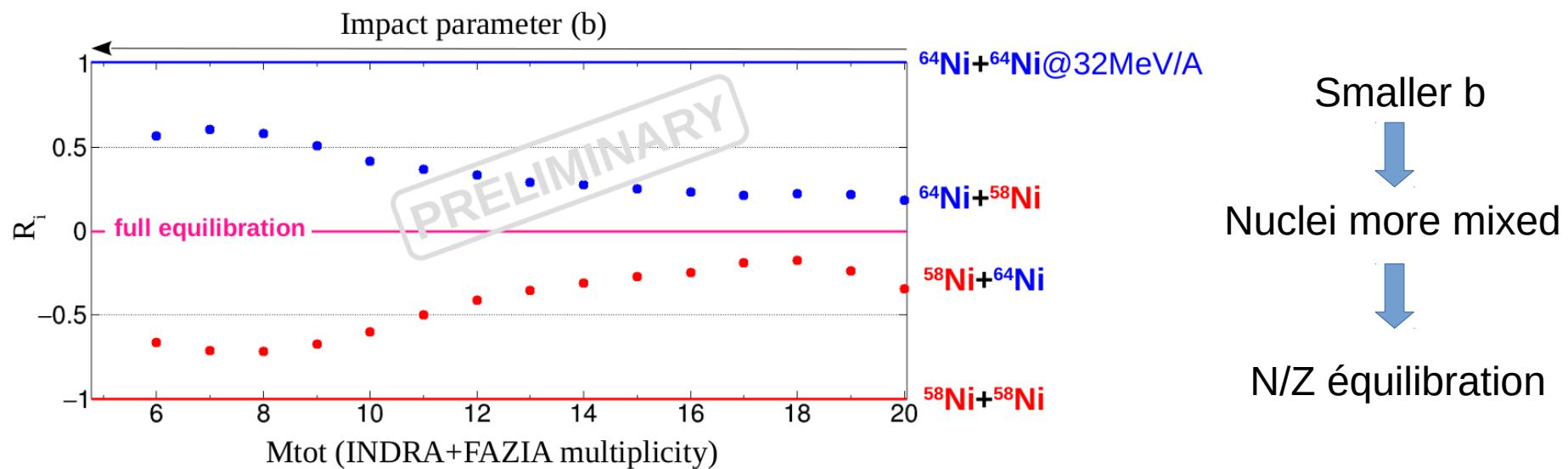
# Preliminary results : isospin equilibration



$$R_i = \left\langle \frac{N}{Z} \right\rangle_{QP}$$

$R_i = +1 (-1)$  : no N/Z equilibration

$R_i = 0$  : full N/Z equilibration



Questions ?

INDRA FAZIA



# BACKUP

B-W

$$E_L(N, Z) = \underbrace{-a_V \cdot A}_{\text{Volume}} + \underbrace{a_S \cdot A^{2/3}}_{\text{Surface}} + \underbrace{\left(a_V^{sym} A + a_S^{sym} A^{2/3}\right) \delta^2}_{\text{Symétrie}} + \underbrace{a_C \cdot \frac{Z(Z-1)}{A^{1/3}}}_{\text{Coulomb}}$$

- Historical formula of Bethe-Weizsäcker, good starting point
  - System at **T = 0** and **without  $\rho$  dependence**
  - System more realistic = function of protons and neutrons density :

$$e(\rho, \delta)$$

# Les collisions et l'isospin

$$\vec{j}_n = D_n^\rho \vec{\nabla} \rho - D_n^\delta \vec{\nabla} \delta : \text{courant de neutrons}$$

$$\vec{j}_p = D_p^\rho \vec{\nabla} \rho - D_p^\delta \vec{\nabla} \delta : \text{courant de protons}$$

$D^\rho$  : coefficient de transport en densité  
 $D^\delta$  : coefficient de transport en isospin

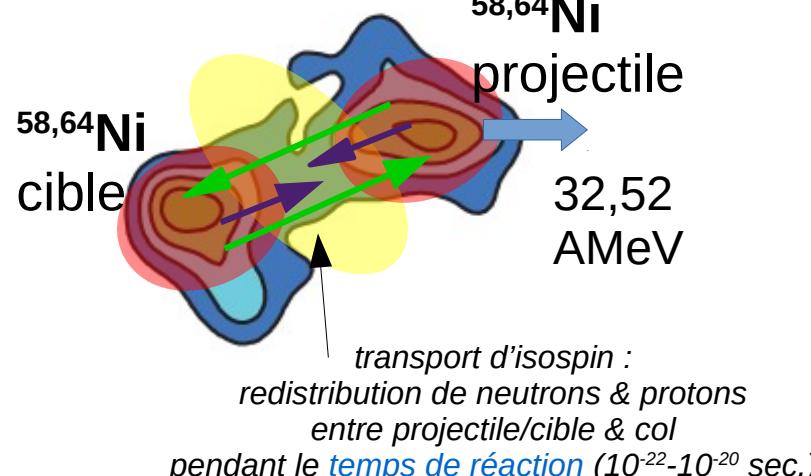
$$|\vec{j}_n - \vec{j}_p| = \overbrace{(D_n^\rho - D_p^\rho) \vec{\nabla} \rho}^{\text{migration}} - \overbrace{(D_n^\delta - D_p^\delta) \vec{\nabla} \delta}^{\text{diffusion}}$$

$$(D_n^\rho - D_p^\rho) \propto 4\delta \frac{\partial e_{iv}}{\partial \rho} \quad (D_n^\delta - D_p^\delta) \propto 4\rho e_{iv} (\rho = \rho_0)$$

$\vec{\nabla} \rho$  : gradient d'isospin       $\vec{\nabla} \delta$  : gradient de densité

Varie avec le couple cible/projectile choisi

Varie avec l'énergie de collision



J. Frankland (GANIL, cnrs)

# Rapport de Rami

rapport isobarique ou isotopique des particules détectées pour le **système riche en neutrons**

rapport isobarique ou isotopique des particules détectées pour le **système riche en protons**

rapport isobarique ou isotopique des particules détectées

Rapport de Rami

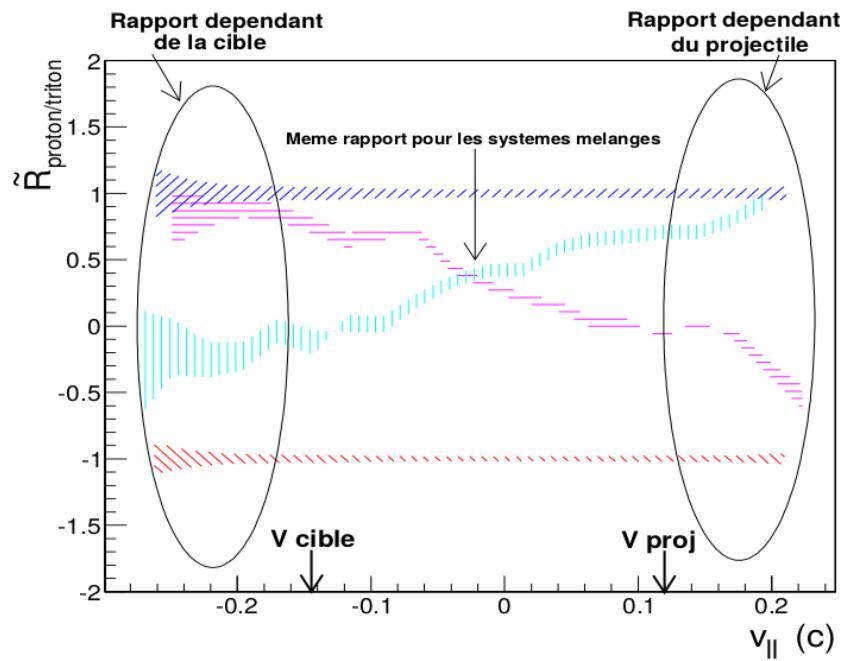
$$\tilde{R}_{p/n} = \frac{2R_{p/n} - R^N_{p/n} - R^P_{p/n}}{R^N_{p/n} - R^P_{p/n}}$$

- Marqueur d'isospin : Une fois normalisé, on retrouve l'isospin du QP ou de la QT à l'avant du centre de masse ou non
- Elimine le biais expérimental

# Rapport de Rami

Pour la détermination du rapport de Rami, il faut se normaliser par rapport aux deux systèmes les plus extrêmes étudiés

- 1 pour système très riche en neutrons (correspondant à l'exposant N)
- -1 pour système très riche en protons (exposant P)



E.Legouée, Ph.D Thesis, Université de Caen-Basse Normandie (2013)

Hypothèses : Source de 10B à l'équilibre thermodynamique à une température donnée

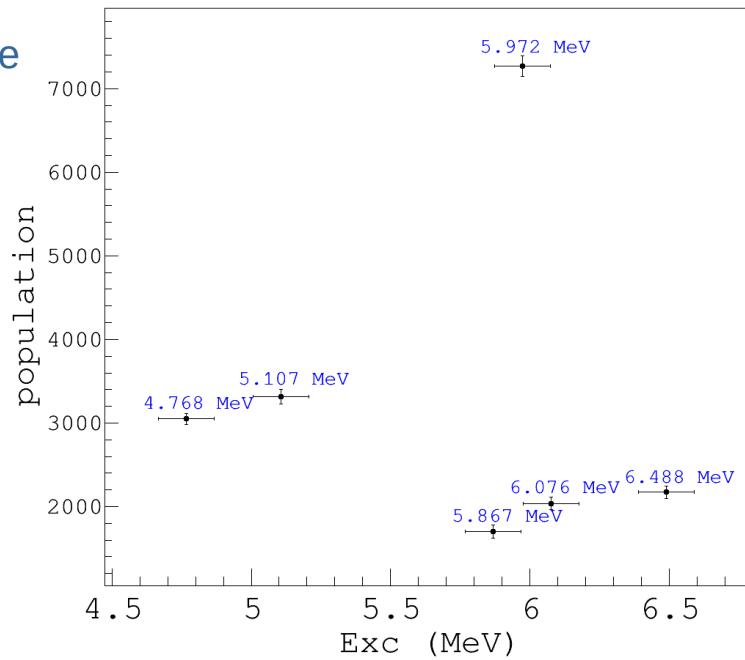
$$\left[ \frac{dN}{dE} \right]_\alpha = A \times \exp\left(-\frac{E}{\langle T \rangle}\right) \sum_i (2J_i + 1) \times \frac{\Gamma_i / 2\pi}{(E - E_i)^2 + \Gamma_i^2 / 4} \frac{\Gamma_{\alpha,i}}{\Gamma_i}$$

Energie d'excitation

Constante de normalisation ↑  
 Moment angulaire total du niveau i ↑  
 Largeur intrinsèque du niveau i ↑  
 Proportion de décroissance  $\alpha$  du niveau i →  
 ≈ 1

↓  
 Nombre de décroissances  $\alpha$  ↓  
**Température moyenne du système** ↓  
 Terme de résonance ↓

- Normalisation par  $(2J+1)$  de la population de chaque niveau
- Décroissance exponentielle non-observée, modèle thermique non-valide ici
- Noyaux produits dans différentes conditions de **température** car il n'y a pas eu de sélection selon le paramètre d'impact ou la température



# Les simulations, quelques ingrédients

## AMD-QMD

### Antisymetrized Molecular Dynamic – Quantum Molecular Dynamic

- Paquets d'onde gaussiens
- Potentiel local de Skyrme (dépend de la densité locale)
- Potentiel de Yukawa décrivant la surface
- Potentiel dépendant des vitesses
- Algorithme stochastique de collisions à deux corps
- Principe de Pauli plus ou moins bien traité

*Mouvement de toutes les particules du système sous l'action de leurs interactions mutuelles*

## HIPSE

### Heavy-Ion Phase Space Exploration

- Phase d'approche de la collision basée sur l'équation du mouvement à deux corps
- Réarrangement des nucléons en plusieurs clusters de particules légères selon le paramètre d'impact de la réaction. Suit les lois de coalescence dans l'espace des impulsions et des positions
- After-burner, la partition est propagée en prenant en compte les effets de reaggregation dus aux interactions nucléaires fortes et coulombiennes
- Les décroissances secondaires sont prises en compte à l'aide d'un code d'évaporation

*Très phénoménologique  
Interaction de Skyrme simplifiée  
Approximation soudaine*

