

Supernova Shock Acceleration

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Outlines

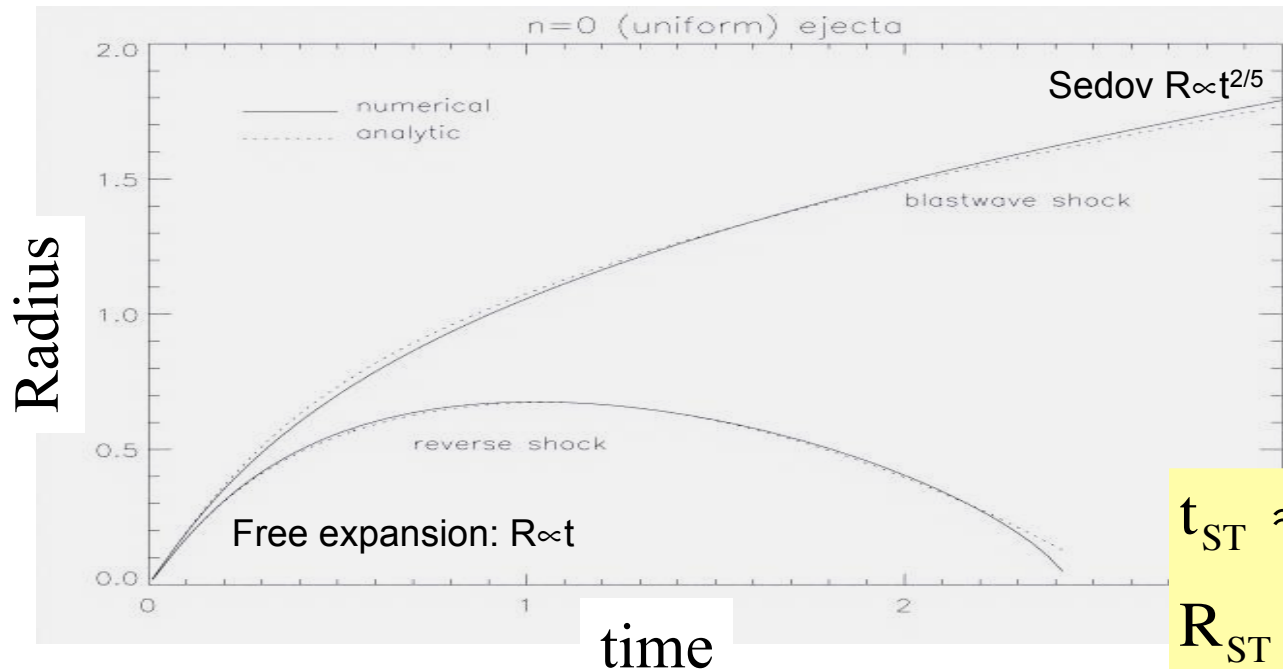
- SNR evolution in the interstellar medium.
- Principles of diffusive shock acceleration.
 - Fermi acceleration mechanism, injection, maximum particle energy, source spectrum.
 - Magnetic field amplification and recent developments.
- Supernova shocks in interaction with molecular clouds.
 - Radiative shocks
 - Particle acceleration performances
- Conclusions.

SNR dynamics: adiabatic phases

Depends on the mass dominating the inertia: $M_{\text{SNR}} = M_{\text{ej}} + 4\pi/3 \rho_{\text{ISM}} R_{\text{SNR}}^3$

- Free expansion (ejecta dominated): $M_{\text{SNR}} = M_{\text{ej}}$
- Sedov (swept-up ISM dominated): $M_{\text{SNR}} = M_{\text{swept-up}}$

Truelove &
Mckee'99
Uniform,
ionised
medium
(SNIa)



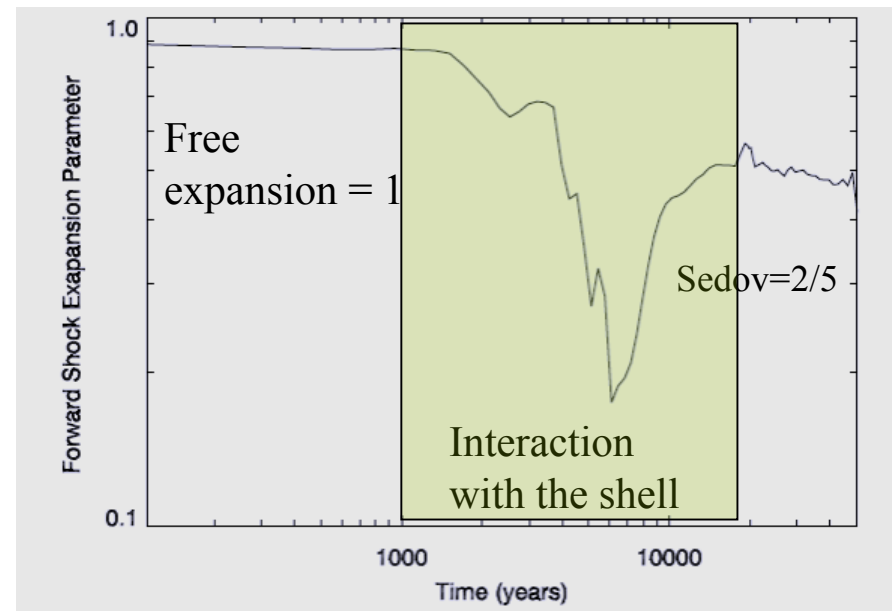
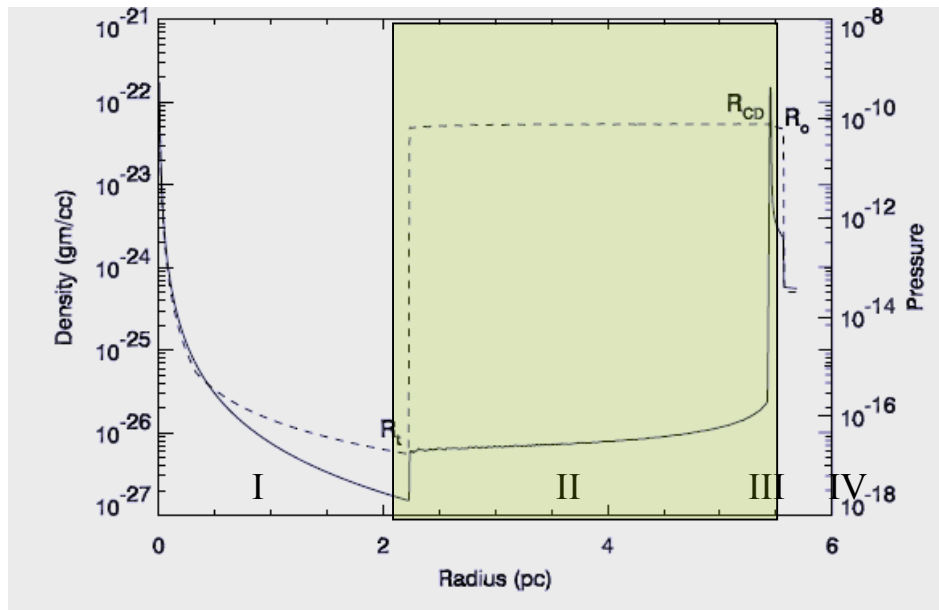
$$t_{\text{ST}} \approx (209 \text{ yr}) E_{51}^{-1/2} M_{\text{ej}}^{5/6} n_{\text{ism}}^{-1/3},$$

$$R_{\text{ST}} \approx (2.8 \text{ pc}) M_{\text{ej}}^{1/3} n_{\text{ism}}^{-1/3}$$

SNR dynamics in a stellar wind

- Highly dependent on the main sequence star and post-main sequence phase (RSG, LBV) or further phases (Wolf-Rayet): SNIi or SNIc/b (Dwarkadas'05)

Case: $M_{\text{shell}}/M_{\text{ej}} = 3.7$



- I: free stellar wind
- II: shocked stellar wind
- III: shocked ambient medium
- IV: unshocked ambient medium

SNR in massive star forming regions & superbubbles

- Before the first SN explosion, stellar winds produce a cavity of hot (1 MK) and low density gas ($10^{-3/-2} \text{ cm}^{-3}$)

Stellar model Mass/Phase	Duration Myr	\dot{M}_w $10^{-5} M_\odot/\text{yr}$	V_w 10^3 km s^{-1}	L_w 10^{37} erg/s	E_w 10^{50} erg	R_{term}/R_\star ($t_{\text{OB}} = 10 \text{ Myr}$)
35 M_\odot /MS	4.2	0.06	3.1	0.2	2.6	0.85
35 M_\odot /RSG	0.2	9.0	0.075	0.017	0.011	1.6
35 M_\odot /WR	0.2	2.2	2.0	2.9	1.8	4.0
60 M_\odot /MS	3.4	0.94	3.1	3.1	33.	3.3
60 M_\odot /LBV	0.012	65.	0.4	3.4	0.13	9.7
60 M_\odot /WR	0.6	2.7	2.5	5.6	11.	5.0

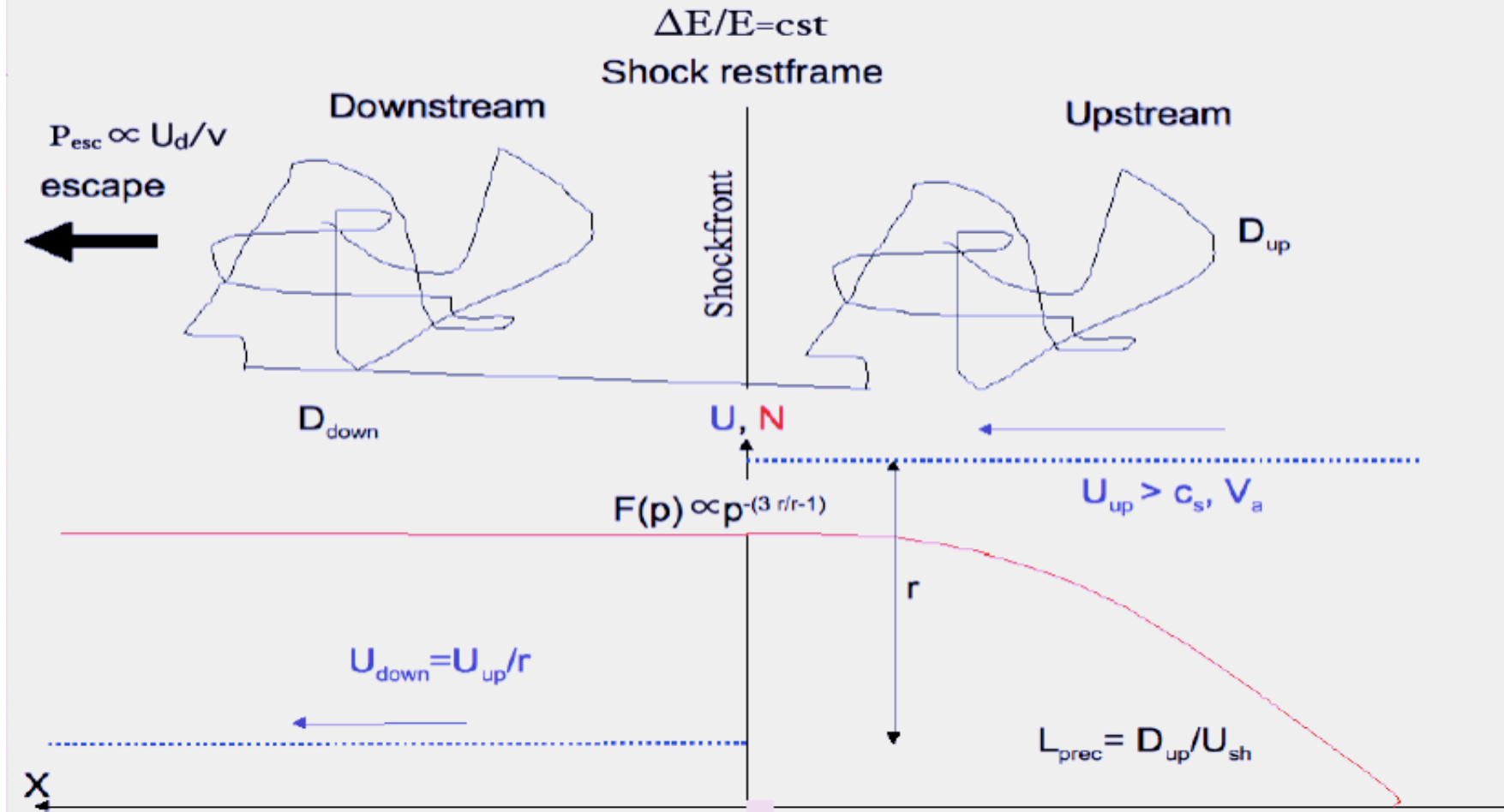
Parizot et al'04

- Termination shock radius $R_{\text{term}} >$ mean distance between 2 stars R_\star in a cluster
- A SN with blows off in a tenuous hot bubble:
 - R_{SN} larger and phases are delayed.
 - Radiative phases hardly reached; huge energy deposition in the ISM.

Principles of Diffuse Shock Acceleration (DSA)

- The Fermi acceleration mechanism
- Injection
 - Protons/ions
 - Electrons
- Maximum particle energy
 - Protons/ions
 - Electrons
- Generation of magnetic field in SNR.

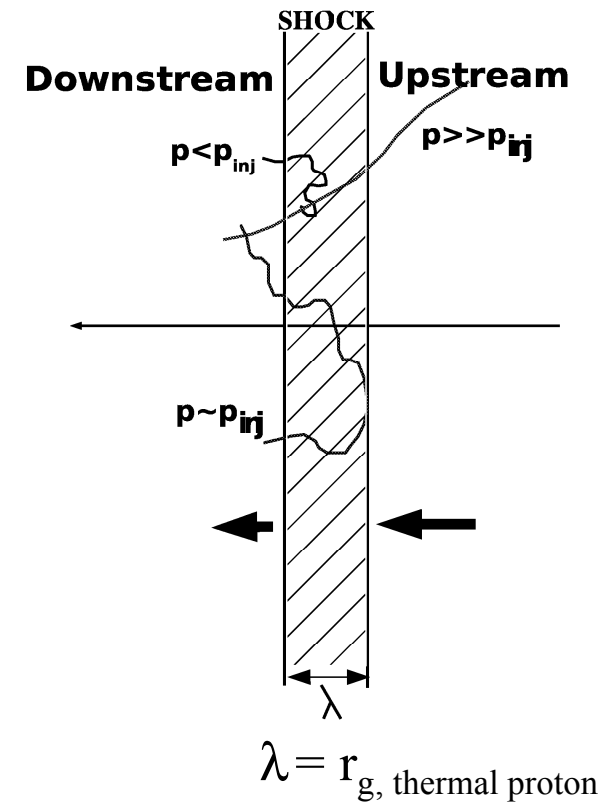
Principles of DSA



- Source spectrum: power-law with an index given by the compression ratio, for $r = 4$, the index is 4 = test particle solution.

Injection of suprathermal particles

- *Unsolved issue*: no self-consistent theory.
 - Depends on the magnetic field obliquity, plasma β parameter, Alfvénic Mach number ($V_{sh}/V_{a,loc}$), ionisation fraction, pre-existing non-thermal population, particle acceleration process itself (retroaction, heating ...) ... **Malkov'98**
- Ion injection: parametric models (kinematics)
 - η : fraction of the incoming flux of thermal particle ($10^{-4}/10^{-2}$)
 - P_{inj} : injection momentum $\propto P_{th-d}$ (2-4)
 - **Blasi et al'05**: one parameter.
 - $P_{inj} = \xi P_{th-d}$
 - Normalisation / Maxwellian distribution
- Different processes to inject electrons or ions (microphysics)
 - Electron injection depends on the plasma modes produced by the ions in the precursor (foot region).
 - $\Rightarrow K_{ep}$ = fraction of electrons/ions
 - \Rightarrow Intensity of synchrotron/Inverse Compton radiation.

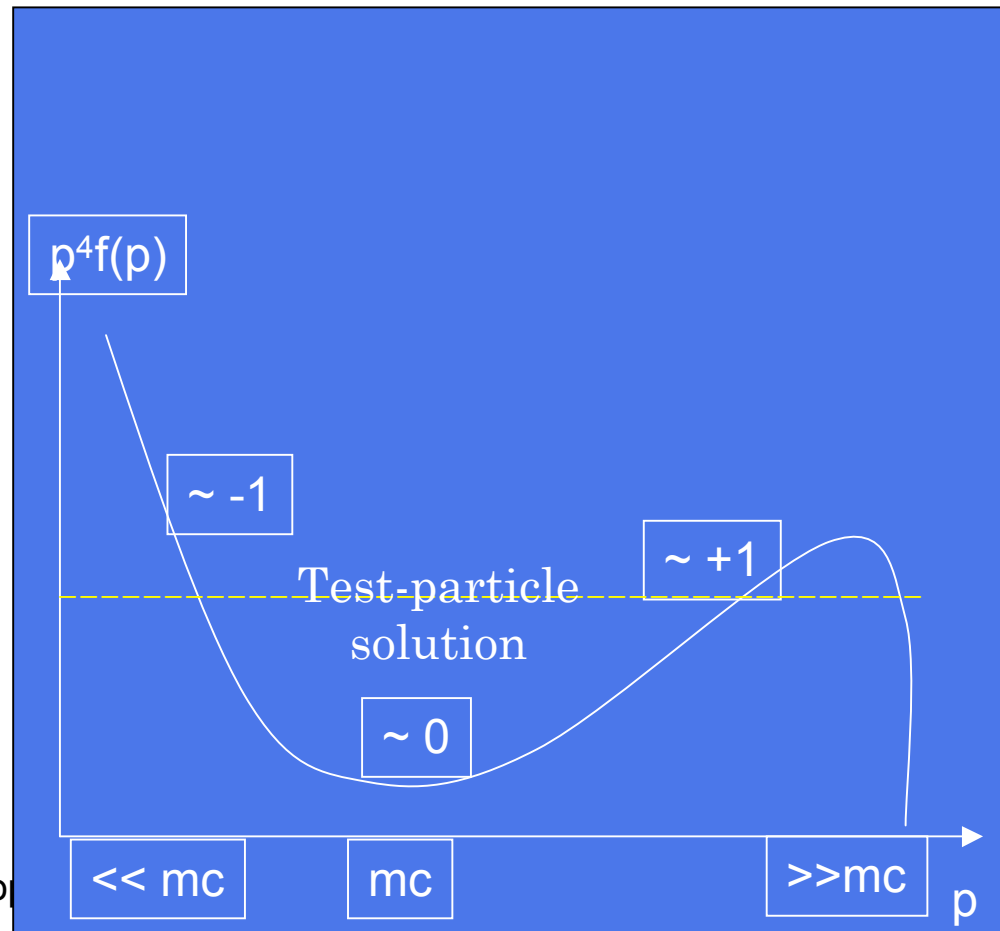
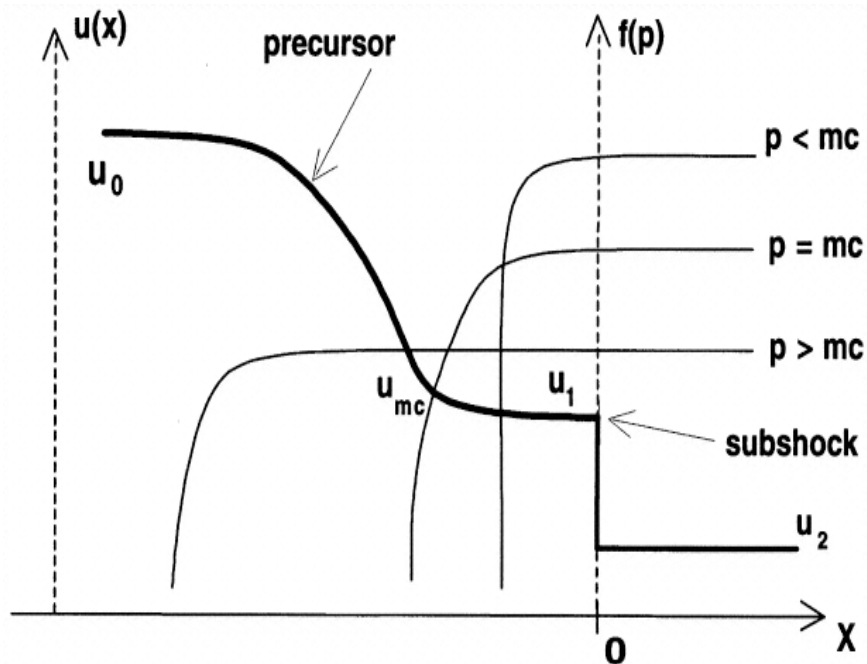


Particle transport & maximum energy

- Particle transport: controlled by the diffusion coefficient; *basically unknown*:
 - $T_{\text{acc}} = f(r) D(E)/V_{\text{sh}}^2$
- Diffusion coefficients: $D(E) = D_{\text{norm}} (E/E_{\text{max}})^a$; $a > 0$
 - Related to the properties of the turbulence (spectrum of fluctuating EM fields) $B(\lambda)/B_{\text{ISM}} = \eta (\lambda/\lambda_{\text{max}})^b$; e.g. Kolmogorov $b=5/3$
 - quasi-linear solutions !!!
 - $D_{\text{norm}} \propto \eta^{-1}$
 - $a = 2 - b$
 - $E_{\text{max}} (\lambda_{\text{max}})$ fixed by the geometry:
 - $\lambda_{\text{max}} \sim R_{\text{sh}}$ and $D(E_{\text{max}})/V_{\text{sh}} \sim R_{\text{sh}}$
 - $T_{\text{acc}}(E_{\text{max}}) \sim R_{\text{sh}}/V_{\text{sh}}$
- **Lagage & Cesarsky (1983)** limit in $B_{\text{ISM}} (\eta \sim 1)$: $E_{\text{max}} \sim Z 10^{14} \text{ eV}$

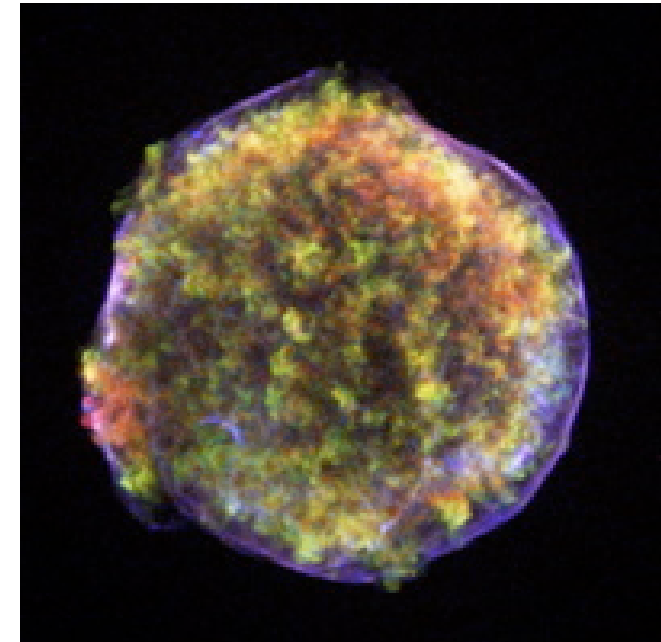
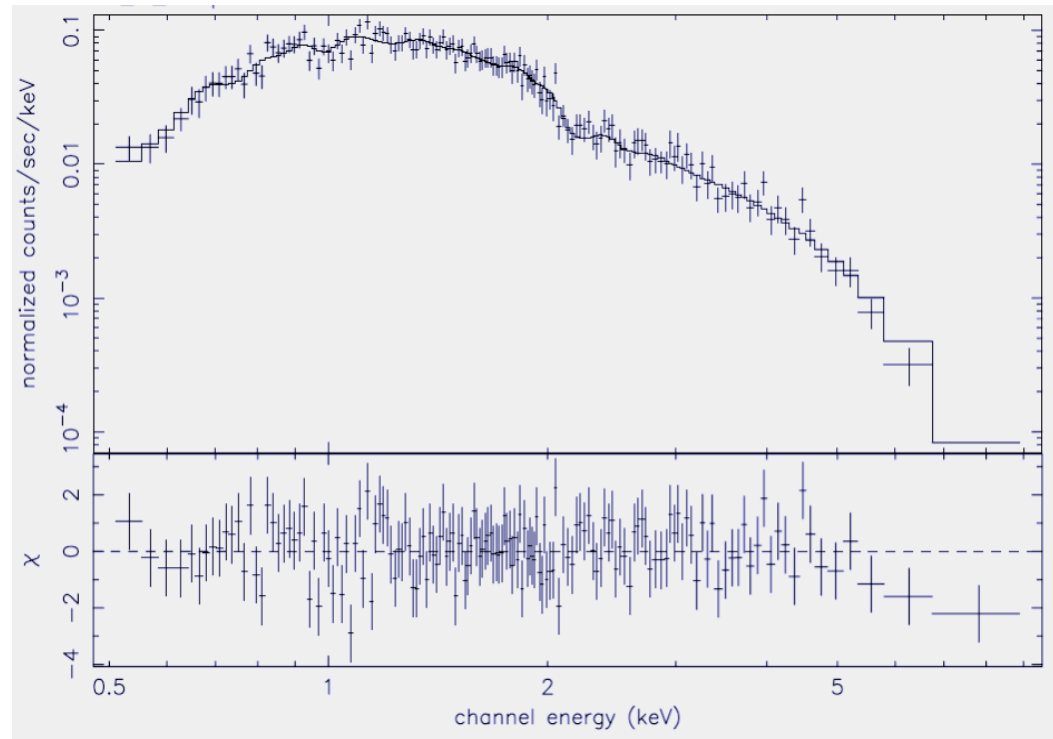
Source Composition & spectrum

- Source spectrum:
 - CR backreaction over the flow => concave spectrum.



X-ray filaments

- Thin filaments \sim % SNR radius
- Non-thermal synchrotron radiation



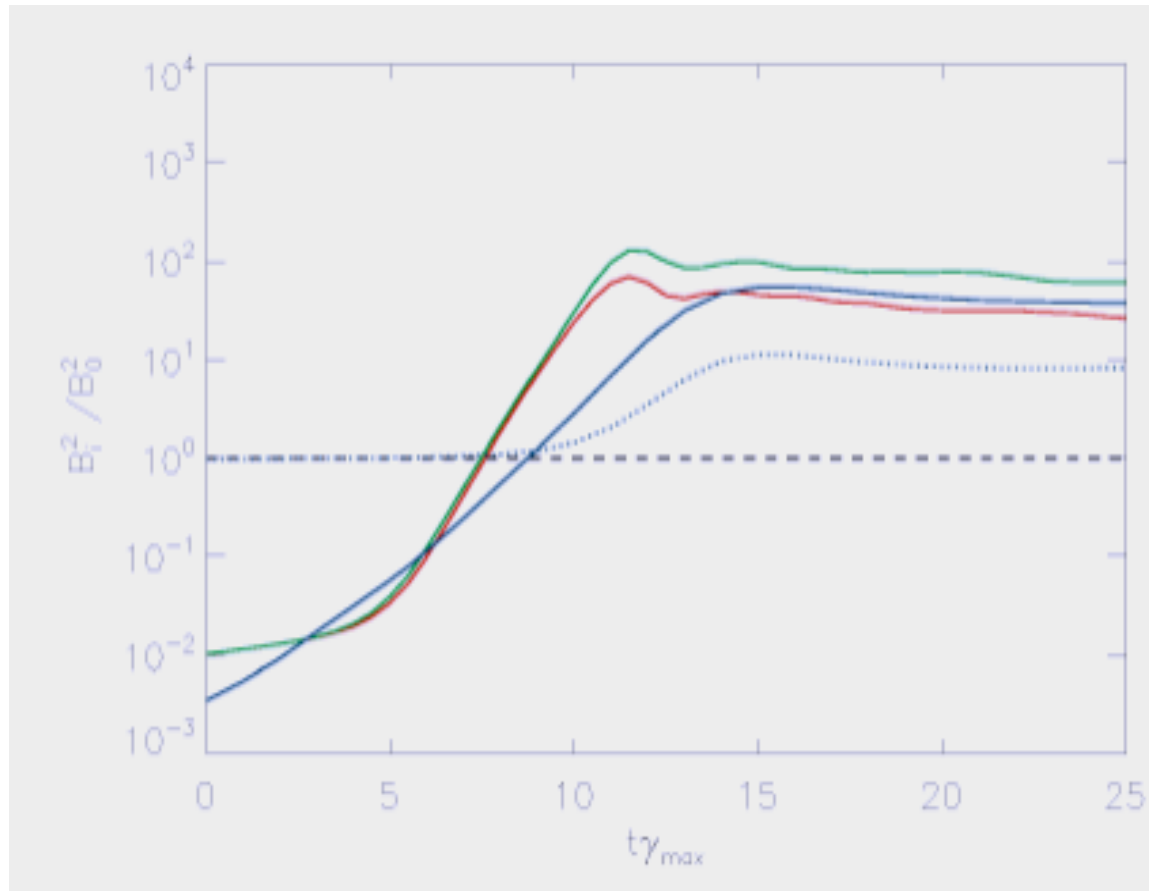
Tycho SNR as viewed in X-rays by Chandra.
Ejecta (red, green)
Outer shock (blue)

Hwang et al'02 (NW rim)

Magnetic field amplification

- Thin filaments $\Rightarrow B \sim 100 B_{\text{ISM}}$
 - Compression $B \sim r B_{\text{ISM}}$ & $r < 10$
 - Need for amplification.
- Various processes invoked: self magnetic field generation
 - Streaming instabilities [Skilling'75](#), [Bell'78](#), [Bell & Lucek'01](#), [Bell'04](#), [Pelletier et al'06](#)... two regimes: resonant and non-resonant.
- Expected field values at the shock front: $M_{\text{a}\infty} = V_{\text{sh}}/V_{\text{a}\infty} > 100$ (ISM)
 - $B_{\text{sat/Res}} : (\delta B/B_{\infty})^2 = M_{\text{a}\infty}^2 u_{\text{sh}}/c (P_{\text{CR}}/\rho u_{\text{sh}}^2)$
 - $B_{\text{sat/Nres}} : (\delta B/B_{\infty})^2 = M_{\text{a}\infty}^2 (P_{\text{CR}}/\rho u_{\text{sh}}^2)^2$
 - $B_{\text{nres/Res}} : (\delta B_{\text{NR}}/\delta B_{\text{R}})^2 = (c/u_{\text{sh}}) (P_{\text{CR}}/\rho u_{\text{sh}}^2)$
- Non resonant instability dominates for fast shocks ($V_{\text{sh}} \rightarrow 0.1 c$) or early SN phases (SN 1993J see [Tatischeff'09](#), SN 1987A ...)

Numerical simulations



3D Particle-in-cell
Simulations for the
non-resonant
instability.

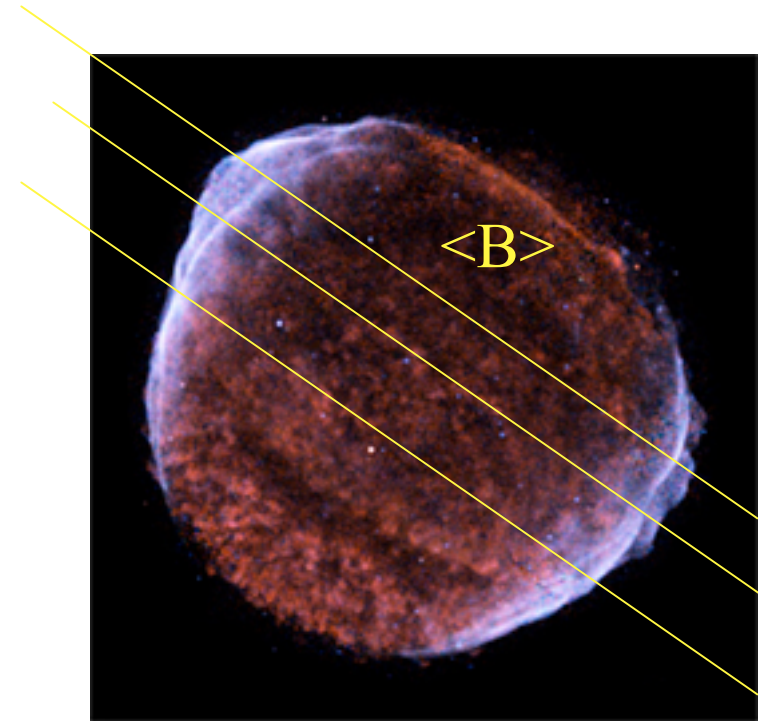
Riquelme &
Spitkovsky'09

Confirm $\delta B/B_{ISM} > 1$

Backreaction on J_{CR}
Blue 3D, red/green 1D
Solid: Perpendicular field
Dotted: Parallel field

Consequences of MF amplification

- Enhanced injection rate:
 - but mostly in the zones of parallel shock configuration (Voelk et al '03) => SN1006
- Enhanced acceleration efficiency: $D \downarrow$
- Higher energies => PeV in the Sedov phase even 100 PeV earlier.
- $L_{\text{sync}}/L_{\text{IC}} \uparrow$
- More plasma heating and less compressibility => source spectrum less modified (closer to the particle-test solutions)



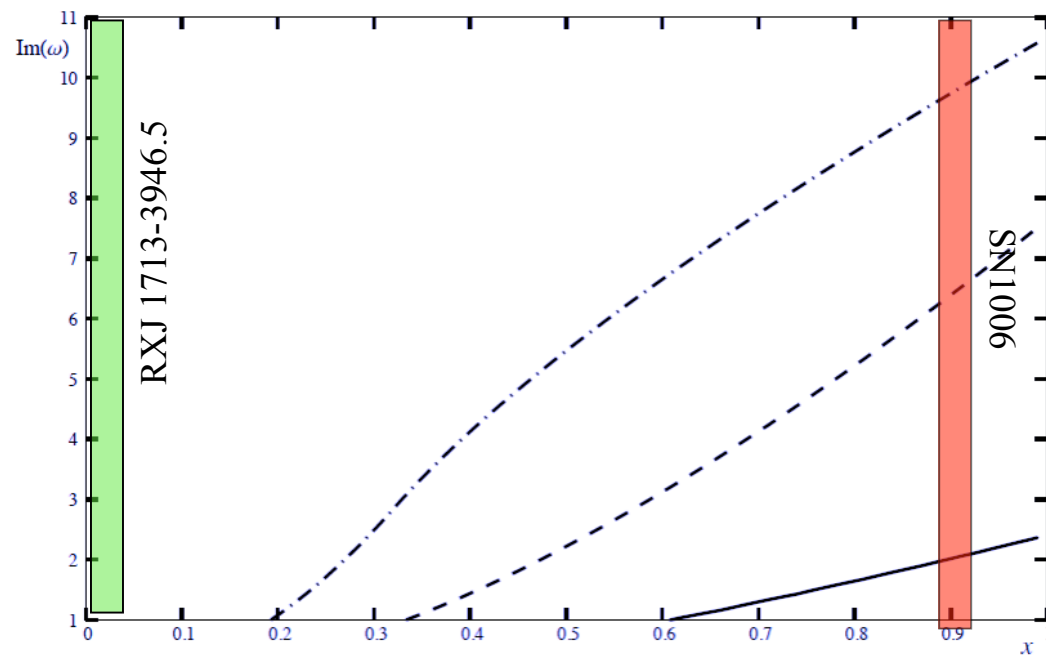
SN1006
by Chandra

Ion-neutral damping I

- If neutrals decouple from ions, the ion oscillations can be damped $\omega > \omega_i$

$$\gamma_{damp} = \frac{\omega^2}{\omega^2 + \omega_i^2} \omega_n; \omega_{i/n} = n_{i/n} \langle \sigma v \rangle$$

- Effect on the non-resonant streaming instability (fast shocks a few thousand km/s) [Reville et al'07](#)



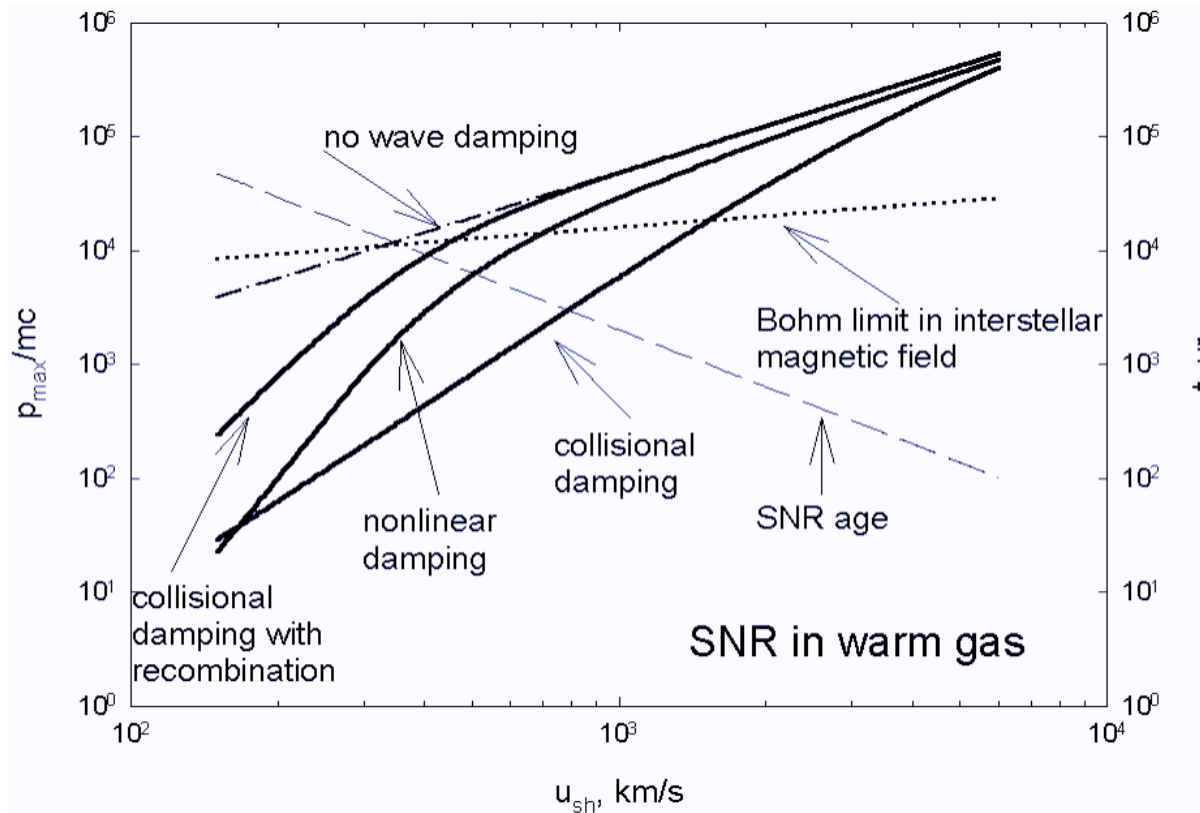
Growing rate vs ionisation fraction x

$$x = n_i / (n_n + n_i)$$

If $\text{Im}(\omega) < 1$ the amplification is not effective anymore.

Argue that RXJ 1713-3946.5 (NW) is in the left part of the figure

Ion neutral damping II



Ptsukin & Zirakashvili'03

Maximum CR energy versus time and velocity in case of strong turbulence ($\delta B > B$)

Collisional damping limits the maximum energy to 100MeV-1 GeV at late Sedov phase.

$$n_n = 0.4 \text{ cm}^{-3}, n_i = 0.03 \text{ cm}^{-3}$$

Shock acceleration & interstellar medium

- Several configurations:
 - Isolated supernova
 - Homogeneous medium (type Ia): SN1006, Tycho
 - Stellar winds (type II): Cassiopeia A, RCW86
 - ⇒ Illumination of nearby passive clouds (S.Gabici, F.Acero, [Torres et al'08](#))
 - $R_{\text{SN}} \gg R_{\text{cloud}}$
 - $R_{\text{SN}} < \text{or } \sim R_{\text{cloud}}$
 - Supernova in interaction with a molecular cloud
 - $R_{\text{SN}} \gg R_{\text{cloud}}$ (adiabatic solutions): Vela SNR
 - $R_{\text{SN}} < \text{or } \sim R_{\text{cloud}}$ (radiative shock acceleration): IC443 [Troja et al'06](#)

Supernova shocks in interaction with molecular clouds

- Radiative shocks
- Particle acceleration performances- role of ionisation - magnetic field amplification ?

SNR dynamics - Radiative phases

Transition Sedov => Radiative phases (homogeneous medium)

$$t_{\text{SP}} \approx (2.9 \times 10^4 \text{ yr}) E_{51}^{-4/17} n_{\text{ism}}^{-9/17},$$

$$R_{\text{SP}} \approx (18 \text{ pc}) E_{51}^{5/17} n_{\text{ism}}^{-7/17}$$

- Radiative (snowplow) phases:
 - Shell shrink through radiative losses
 - Internal Pressure drops \Leftrightarrow work done on the shell
- $R \propto t^{2/7}$, $V_{\text{sh}} \sim 100\text{-}200 \text{ km/s}$

Cioffi et al '88

Particle acceleration performances

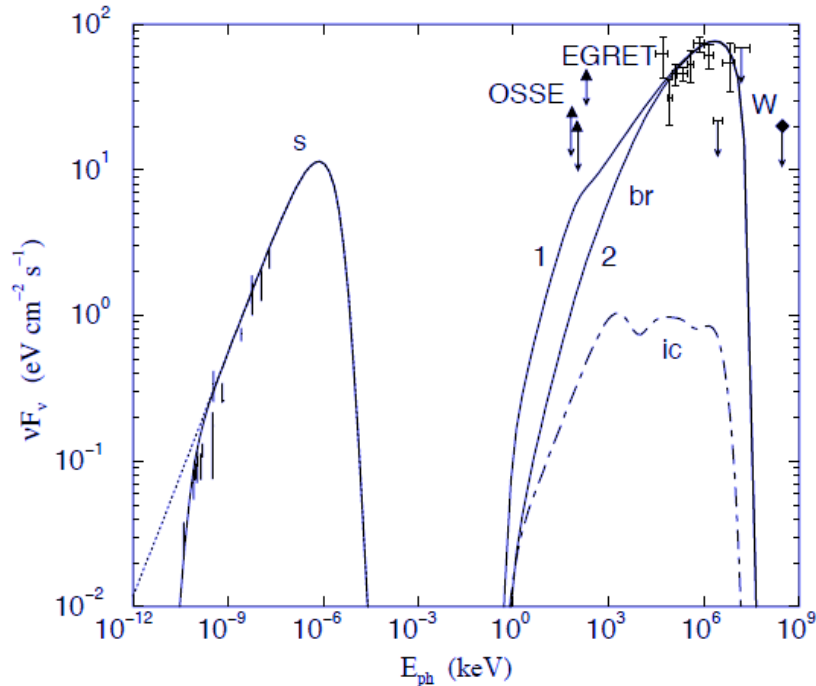
Homogeneous-ionised-'low density' medium

- Adiabatic high speed phases last longer.
- Streaming instability likely to generate strong magnetic fields (Reville et al'08)
- Internal injection from the heated thermal plasma unless propagating in massive star clusters regions (Ferrand et al '08).
- Acceleration up to very high energies (PeV and more).
- TeV particles observed in X and Gamma-rays.

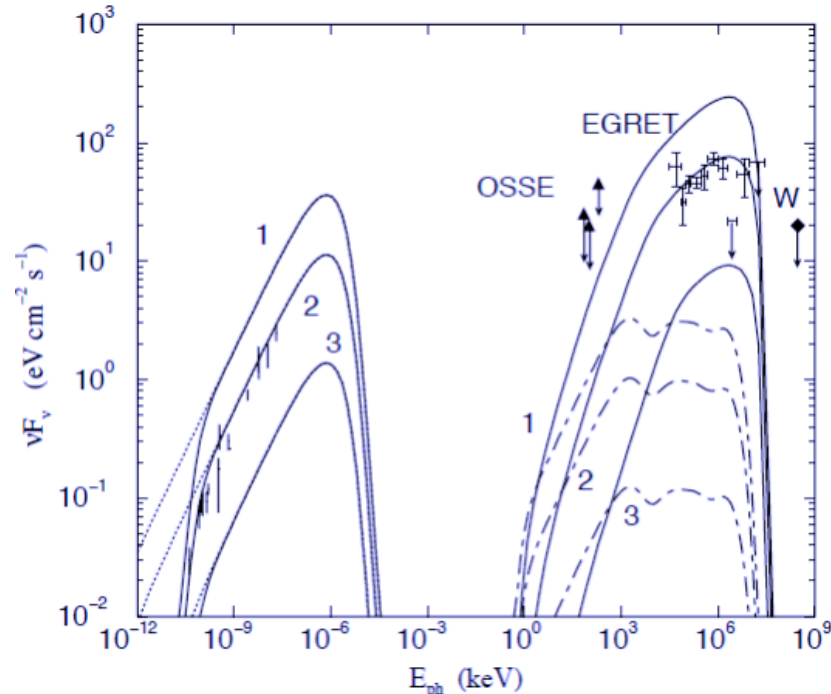
Inhomogeneous-partially neutral-'dense' medium

- Faster shock aging. Lower velocities.
- Ion-neutral damping over the Alfvén waves (Tagger et al'95).
- Magnetic field compression ? The clouds can have magnetic fields $> 10 \mu\text{Gauss}$.
- External energetic particles injection likely important (Bykov et al'00).
- Importance of reacceleration/Coulomb losses at low energy (keV-MeV) (Bykov et al '00).
- Acceleration performances to be tested versus wave damping and low shock velocities: GeV electrons in radio, where do TeV particles come from ?

Multiwavelength models for IC443



Bykov et al'00



Injection from thermal pool
 Min energy electron reacceleration
 (stochastic)
 1/ $E=120$ keV 2/ $E=2$ GeV

Reacceleration of CR electrons
 Max energy electron reacceleration
 (shock)
 1/ $E=0.5$ GeV 2/ $E=0.05$ GeV 3/case
 of a dense clump

Ion-neutral damping

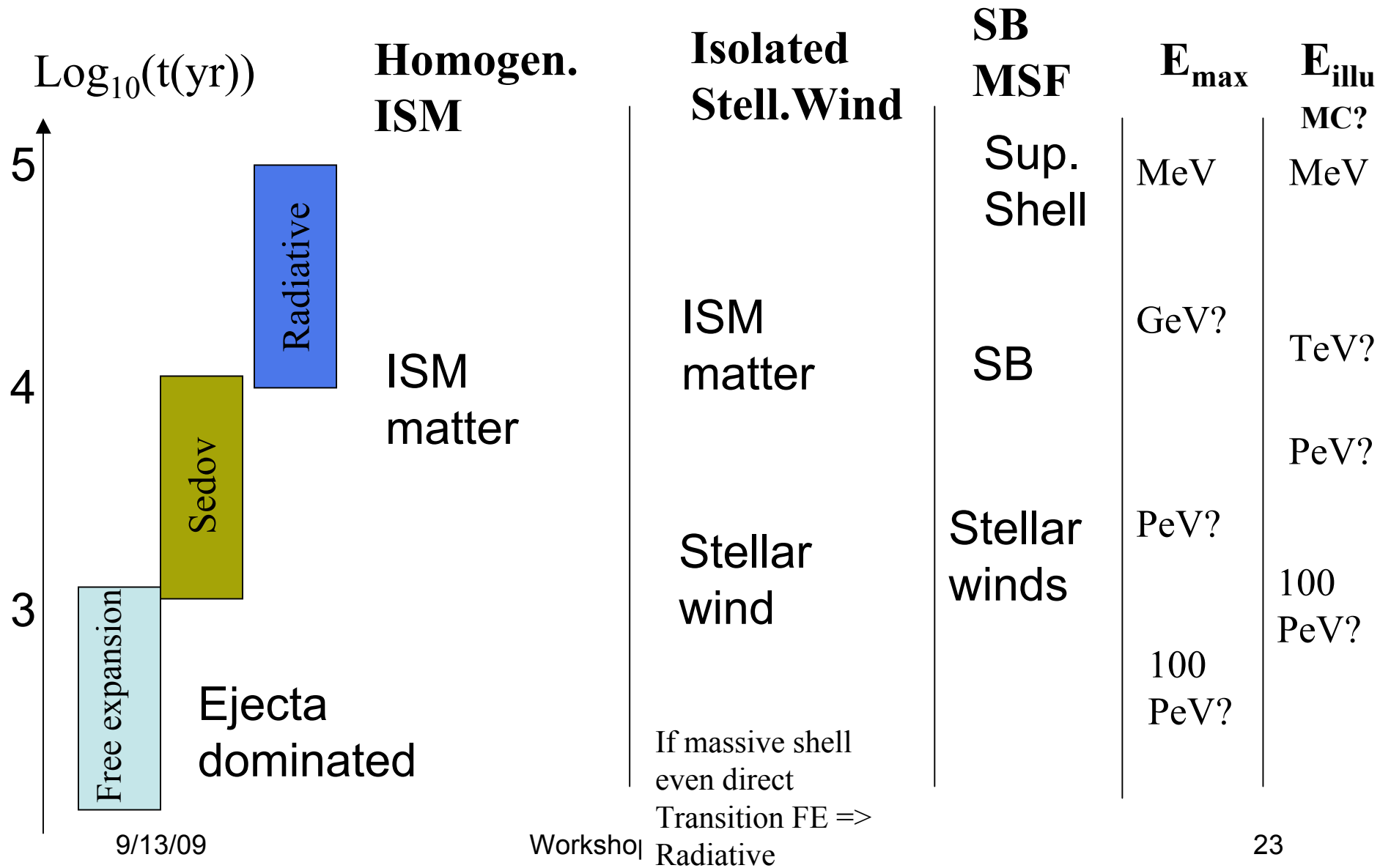
- Case of resonant Alfvén waves (in weak turbulence; $\delta B < B$) (Drury et al'96)
 - Typical energy where ion-neutral damping is the strongest: E_1
 - Maximum energy of particles if acceleration is limited by ion-neutral damping: E_2
 1. If $E_2 < E_1$ then acceleration highly reduced compared to the neutral free case.
 2. If $E_2 > E_1$ then acceleration slightly reduced compared to the neutral free case.

$$E_1 = 8 \text{ GeV} \left(\frac{T}{10^4 \text{ K}} \right)^{-0.4} \left(\frac{n_i}{1 \text{ cm}^{-3}} \right)^{-3/2} \left(\frac{B}{1 \mu\text{G}} \right)^2$$

$$E_2 = 1 \text{ TeV} \left(\frac{U_{sh}}{10^3 \text{ km/s}} \right)^3 \left(\frac{P}{0.1} \right) \left(\frac{T}{10^4 \text{ K}} \right)^{-0.4} \left(\frac{n_i}{1 \text{ cm}^{-3}} \right)^{0.5} \left(\frac{n_n}{1 \text{ cm}^{-3}} \right)^{-1}$$

- High speed shocks ~ 1000 km/s are more likely in case 2.
- Low speed shocks ~ 100 km/s: $E_2 < 1$ GeV and likely in case 1.

SN-CRs-ISM and MCs

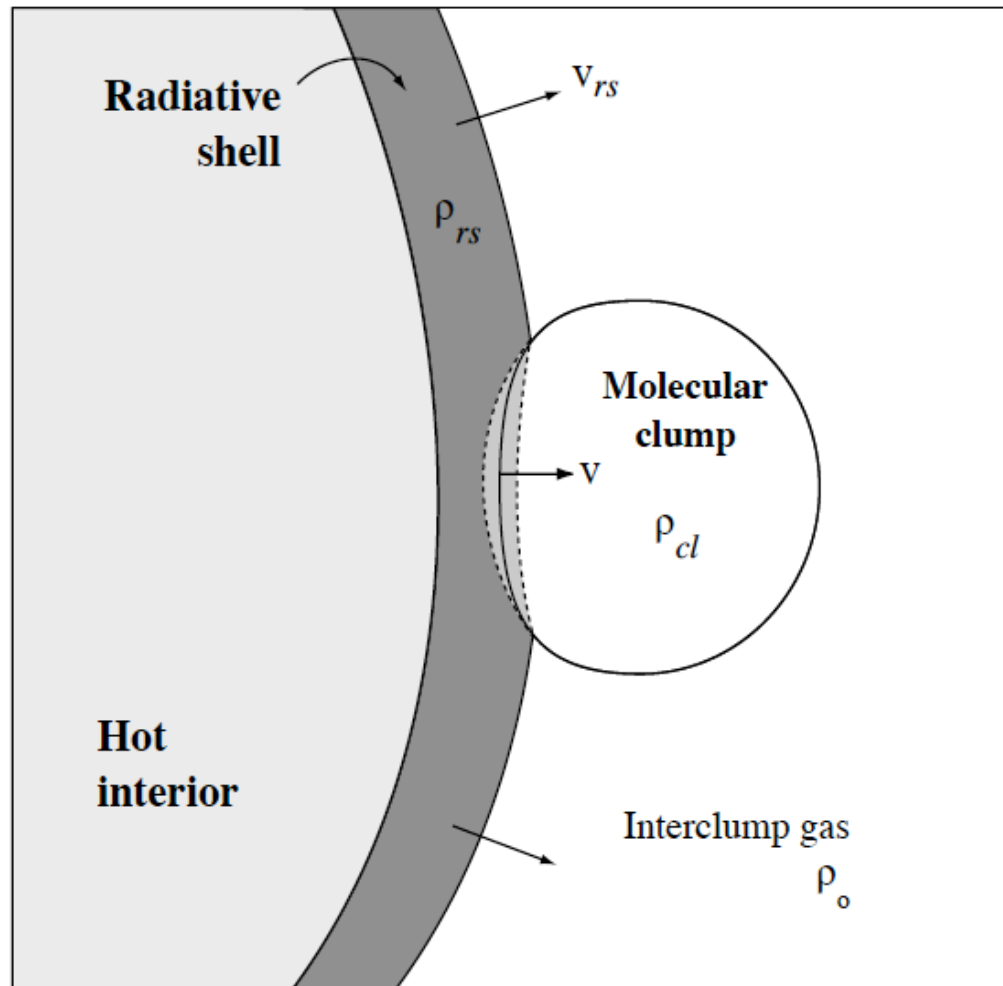


Conclusions

- SNR likely the sources of galactic CRs
 - Isolated or cluster effects ?
 - Important effects of the surrounding over the shock acceleration performances
 - Injection (thermal plasmas, pre-existing CRs)
 - Nature of the acceleration process
 - Magnetic field amplification (self-generated turbulence - pre-existing turbulence) ... and damping (ion-neutral damping) likely to quench the acceleration process in low velocity shocks.
 - Maximum particle energy
- Need to rely on shock/medium properties to give any prediction.

Supplementary materials

Interaction with molecular clouds



- Dense clumps ($10^{4/5}\text{cm}^{-3}$)
Filling factor: 0.02-0.08
(Shull'80, Blitz'93)
=> Buried SNR ($R < 2$ pc) peak emission in IR (grains)
- Inter clump medium ($5\text{-}25\text{ cm}^{-3}$)
HII region
(Chevalier'99)
- The interclump medium may also be different: Superbubbles or massive star clusters + turbulent magnetic field (Parizot et al'04)
=> SNR never reach the radiative phase (low density, hot medium).

Numerical simulations

- Hydrodynamics:
 - 2D Klein et al'94.
 - 3D Xu & Stone'95.
 - + thermal conduction, autogravity: Fragile et al'04, Orlando et al'05.
- Magnetohydrodynamics:
 - 2.5D MacLow et al'94, Fragile et al'05, Van Loo et al'07.
 - 3D Shin et al'08
- Effects of magnetic fields over the cloud evolution:

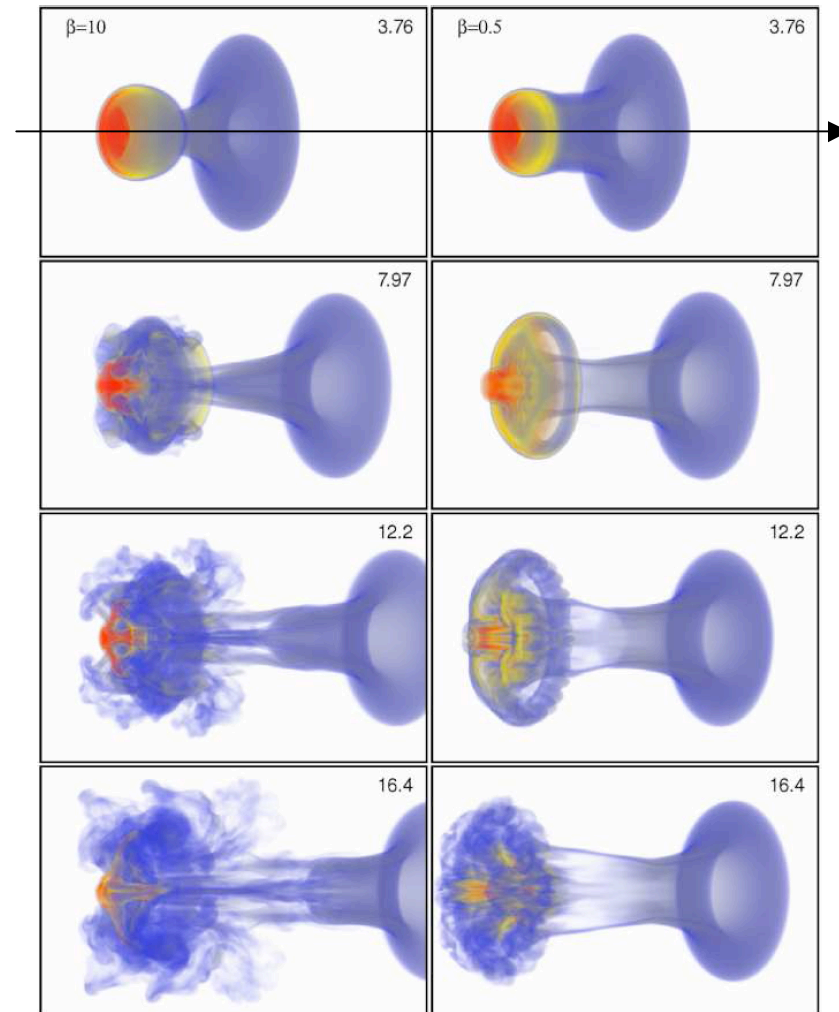
Simulations for different β ($M_s=10$):

 - Strong fields stabilise the structures and decrease the amplitude of turbulent motions.
 - Obliquity induces sheet like structures.

Cloud density versus cloud-crushing time

Parallel MF

Shin et al'08



A schematic view

3 non-linearly coupled systems

